

Upgrade2 ECAL

performance with $B^0 \rightarrow \pi^+ \pi^- \pi^0$

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Outline

- Introduction
- Highlights of “Homogenous” simulation from Bologna
- $B^0 \rightarrow \pi^+ \pi^- \pi^0$ performances
 - ▶ Figures of merit: Efficiency vs. Significance ($S/\sqrt{S+B}$)
 - FTDR result
 - Results with variable time resolution
 - Results with Dalitz plot requirements

Motivations to study $B^0 \rightarrow \pi^+ \pi^- \pi^0$

- Relevant mode to measure the α angle of the Unitarian Triangle

- ▶ Complementary to $B \rightarrow \pi\pi, \rho\rho$ analysis

- Opportunity to study the reconstruction of both **merged** and **resolved** π^0

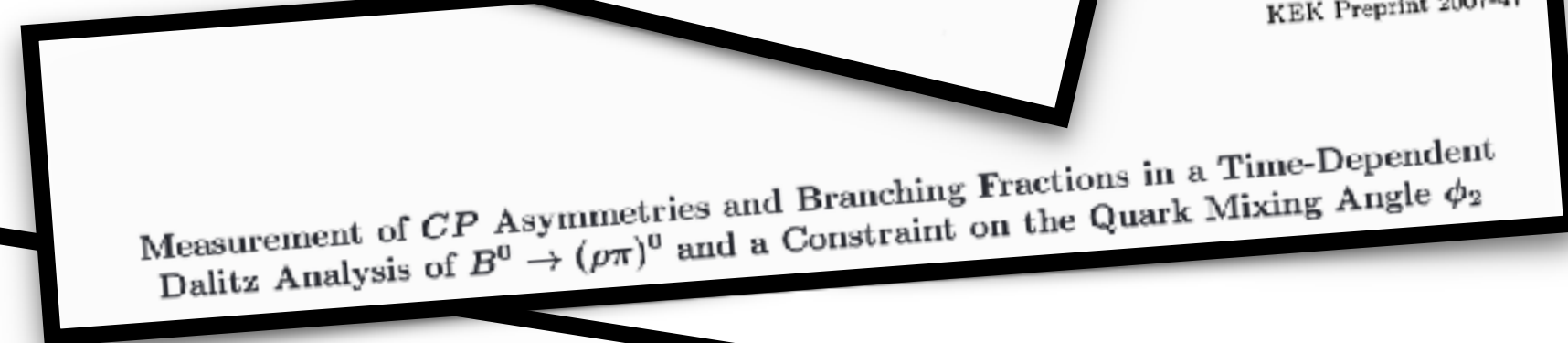
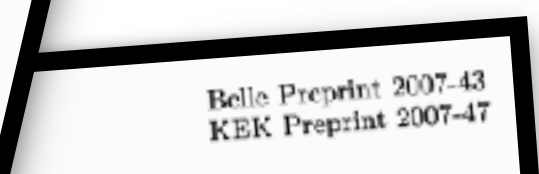
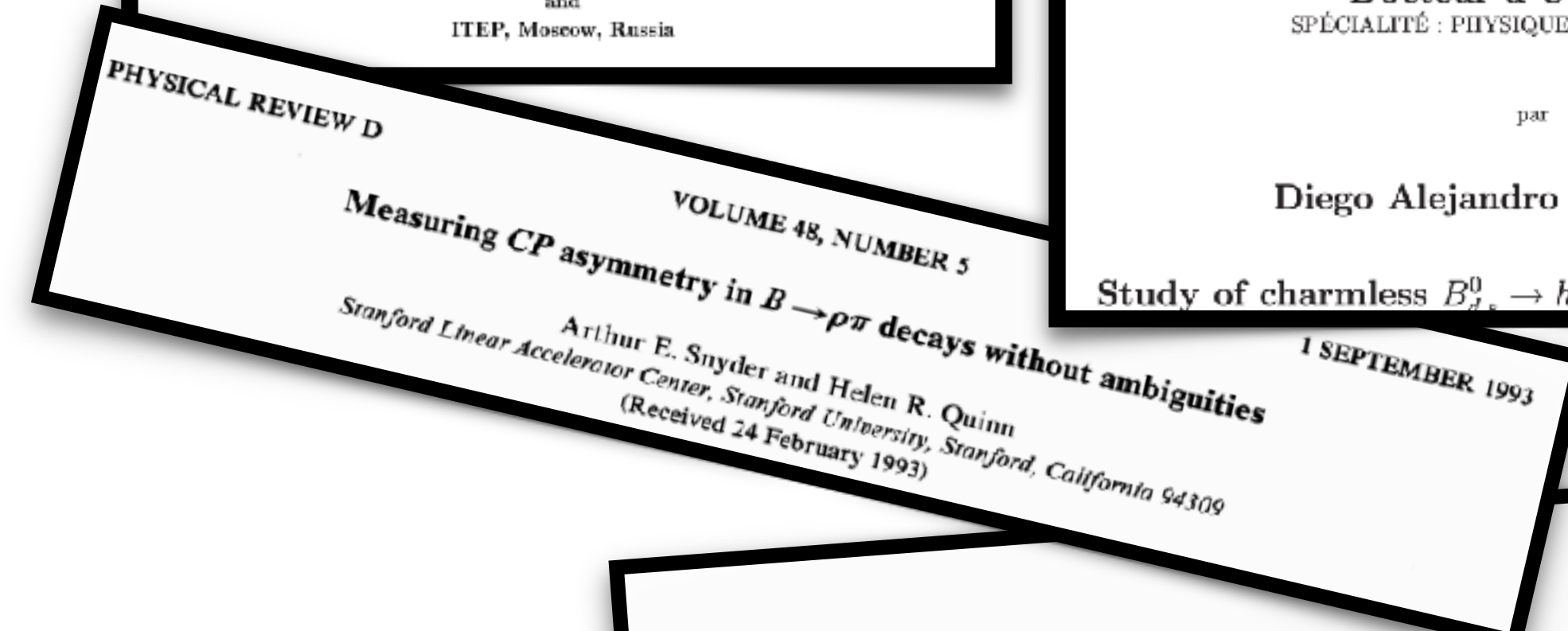
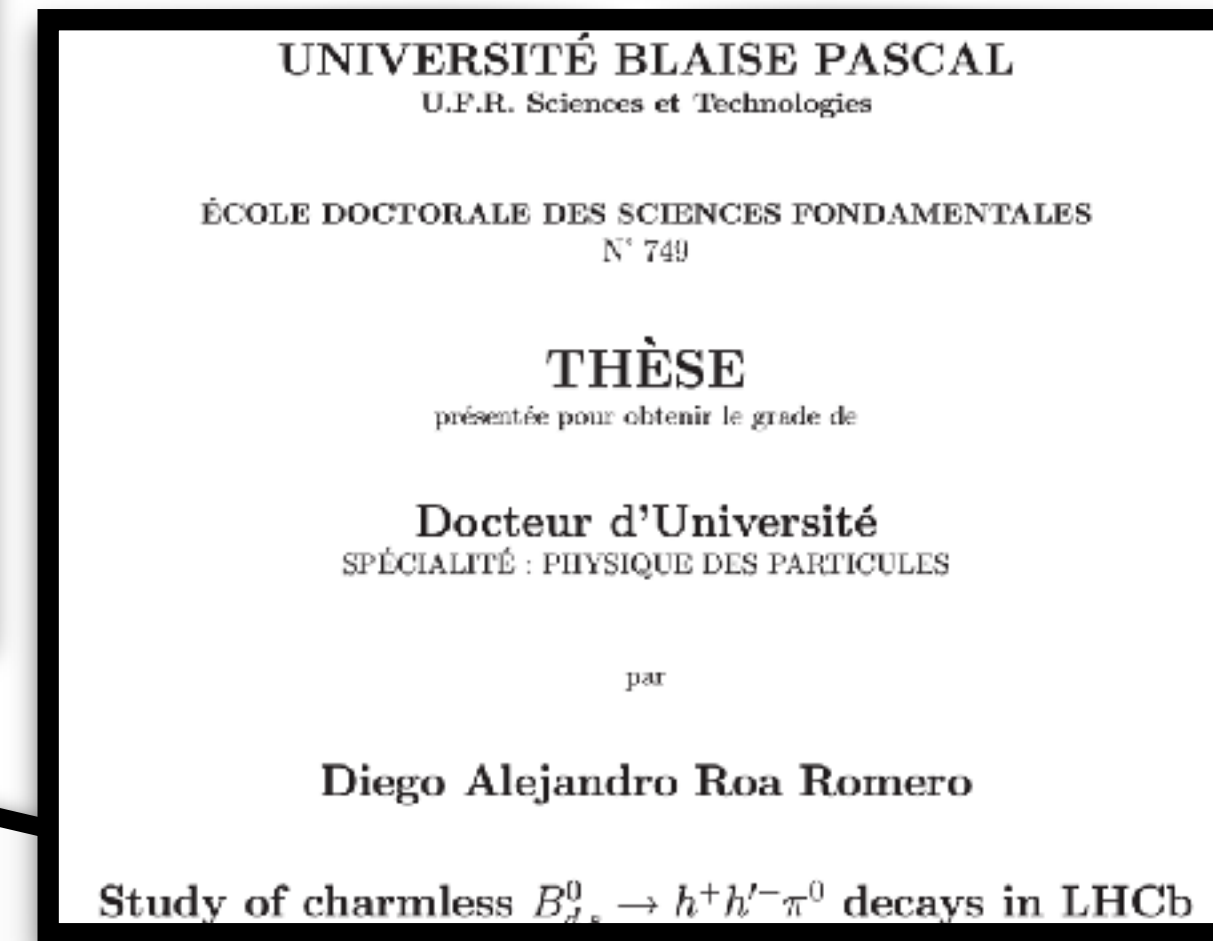
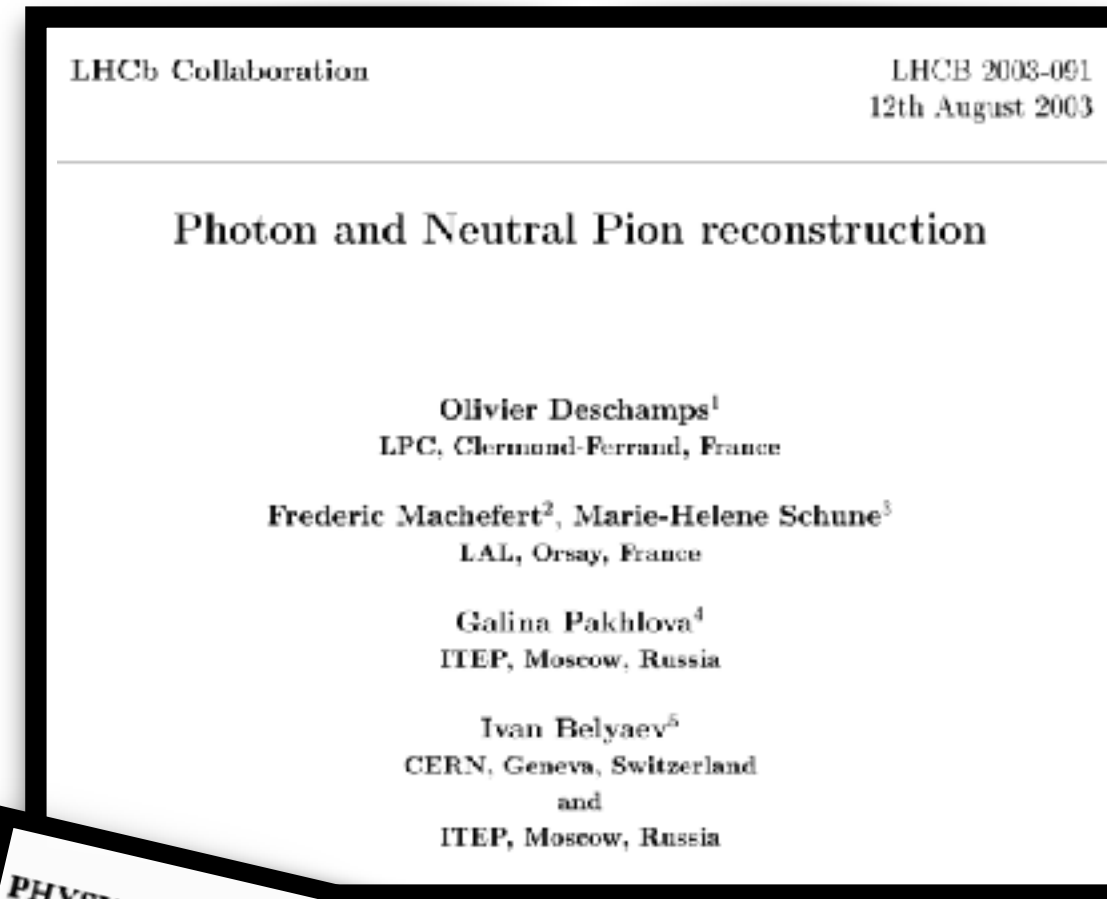
- ▶ Large increase of comb. bkg. expected in U2 for resolved π^0

- ▶ Large benefit expected from timing

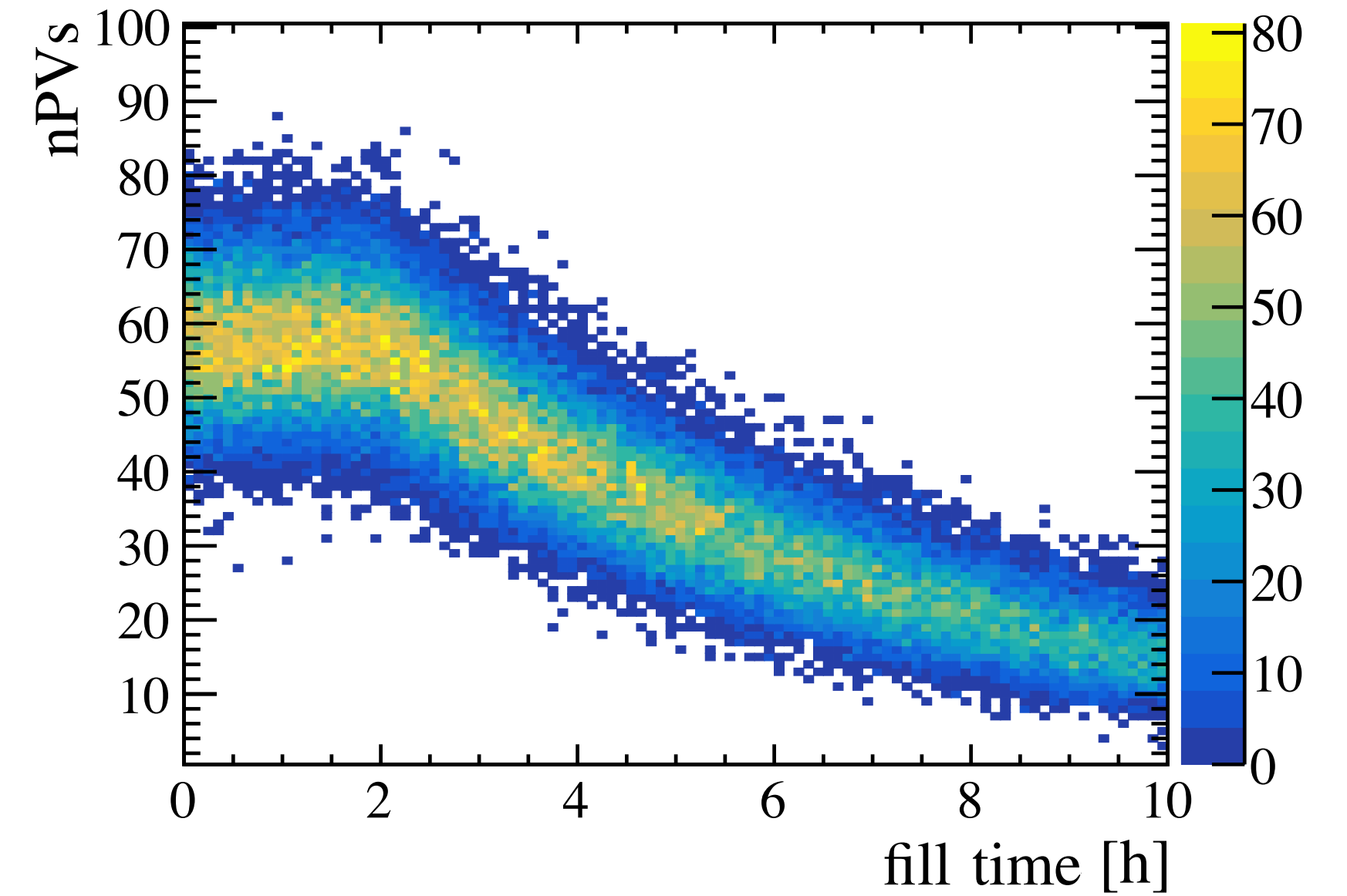
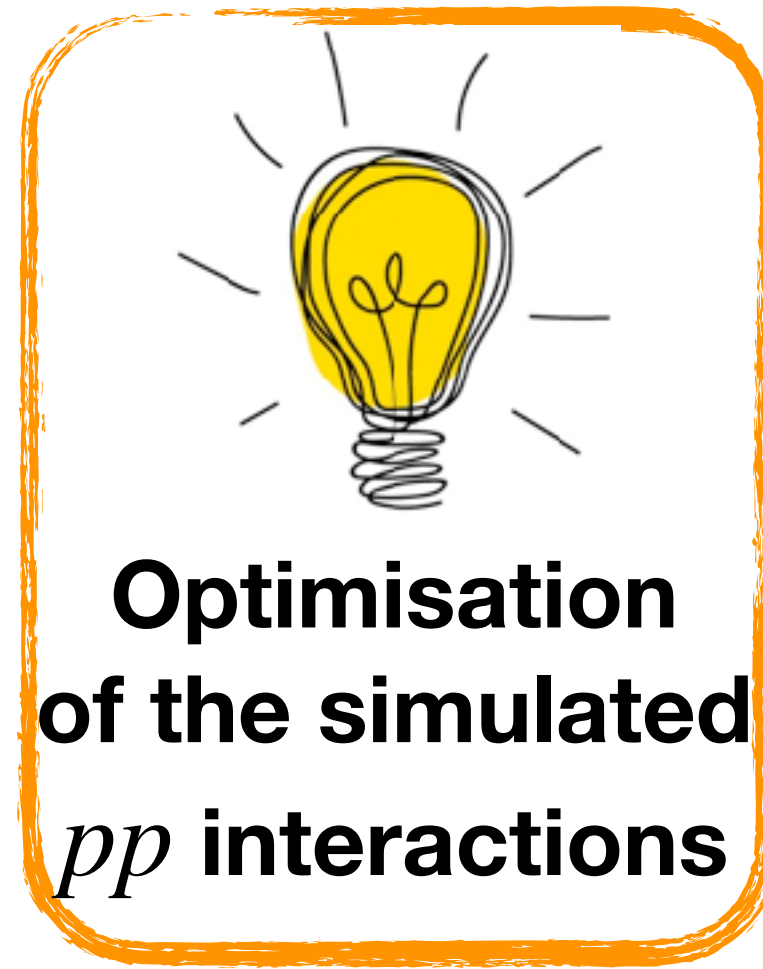
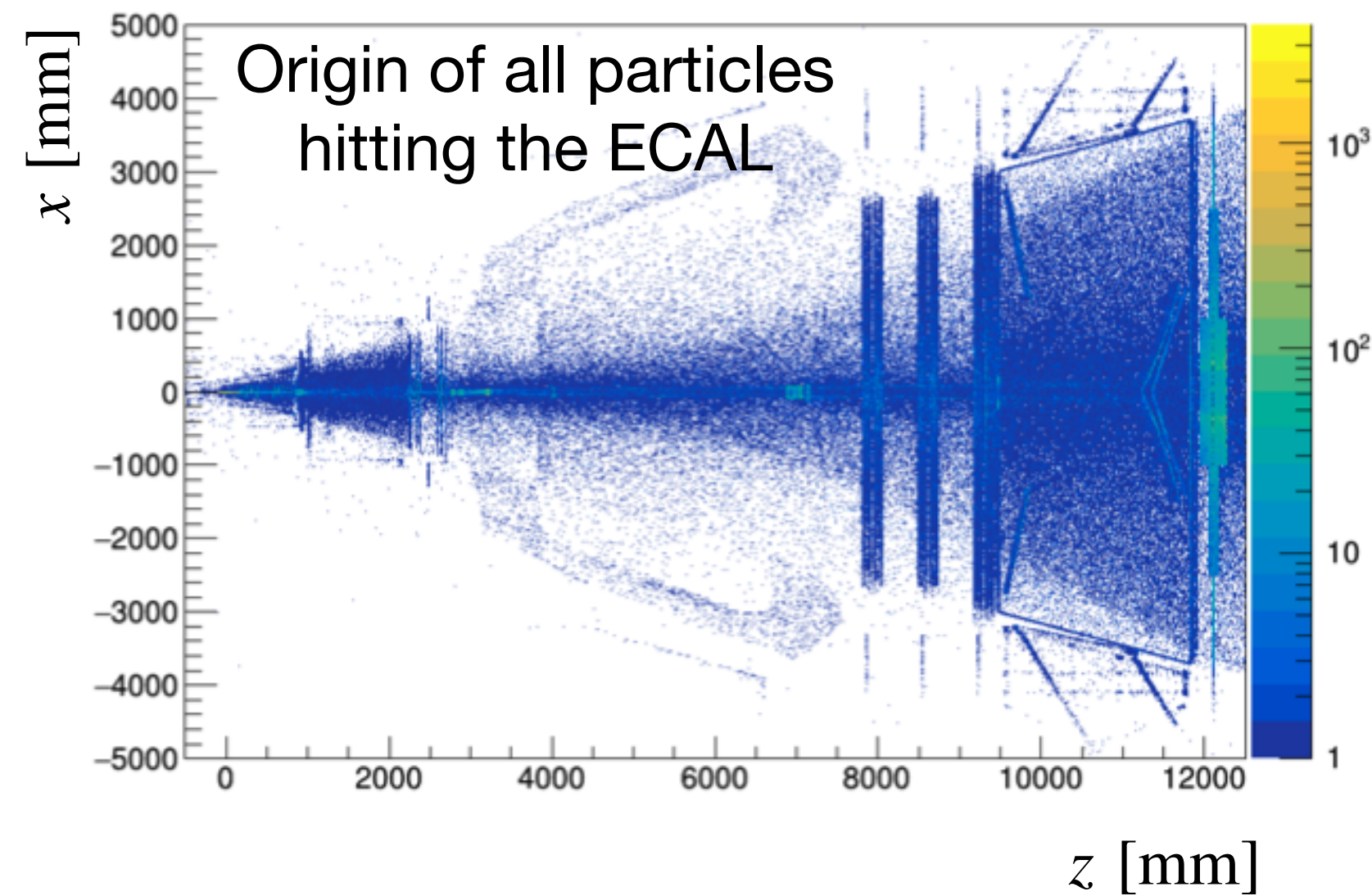
- Documentation

- ▶ LHCb-2003-91: performance of γ and π^0 reconstruction with simulated $B^0 \rightarrow \pi^+ \pi^- \pi^0$

- ▶ CERN-THESIS-2013-051: preliminary study on 2010 data



Origin-vertex simulation



1. Pythia is used to generate the primary pp interactions

- ▶ The time spread of the PV is included

2. The particle flux at ECAL surface is given by Gauss

- ▶ Geant4 is used to propagate particles inside LHCb
- ▶ All tracked particles are organised depending on their PV

3. Luminosity decay

- ▶ “ $nPVs$ ” is randomly chosen, depending on the luminosity degradation expected in Run5 conditions

4. PV bootstrap  RECYCLE of min. bias MC events

- ▶ Events are built merging:

- 1 signal PV
- $nPVs$ – 1 not-signal PVs, randomly extracted from a the previously generated PV dataset

ECAL simulation

- ECAL homogenisation

- ▶ Homogeneous materials with average composition are simulated instead of the detailed geometry of the cells

- The shower development is simulated by Geant4

- ▶ The effects of the angle of incidence and time spread of the showers are considered

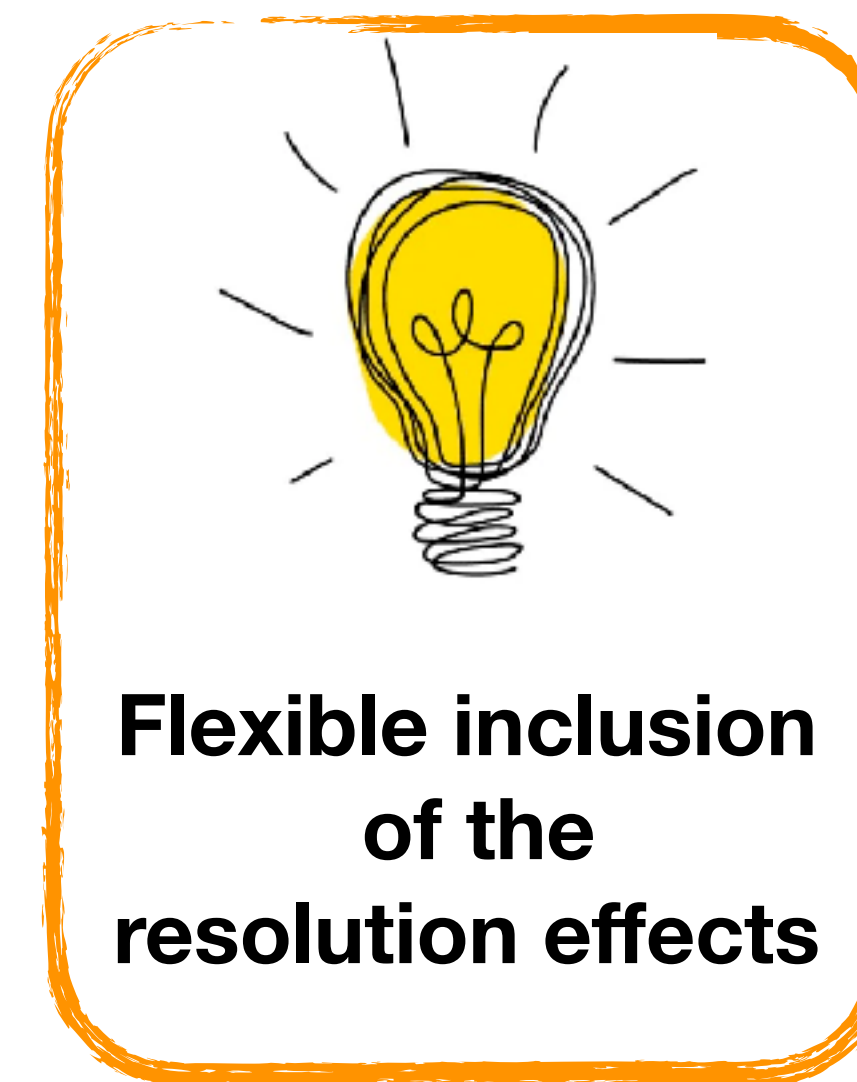
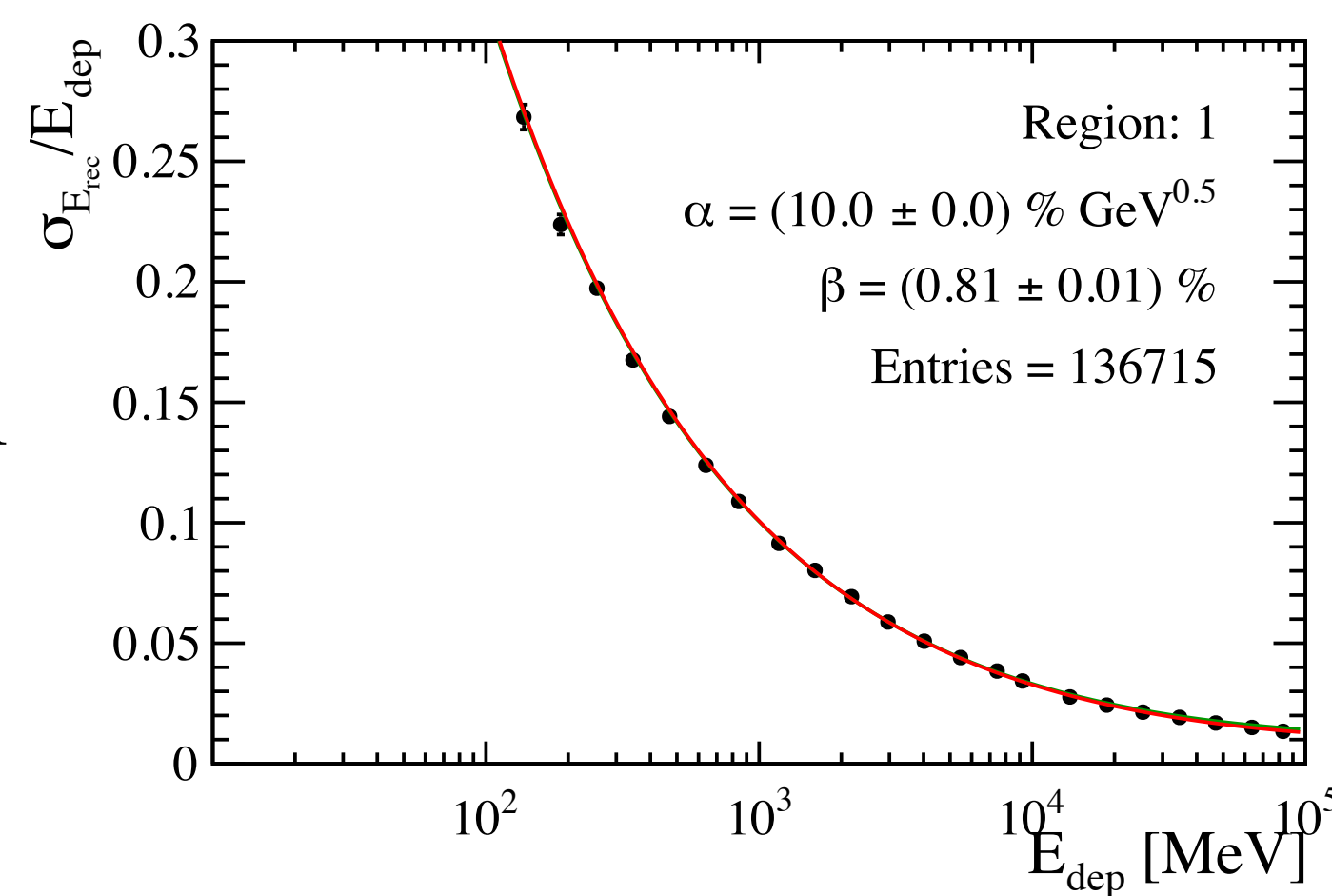
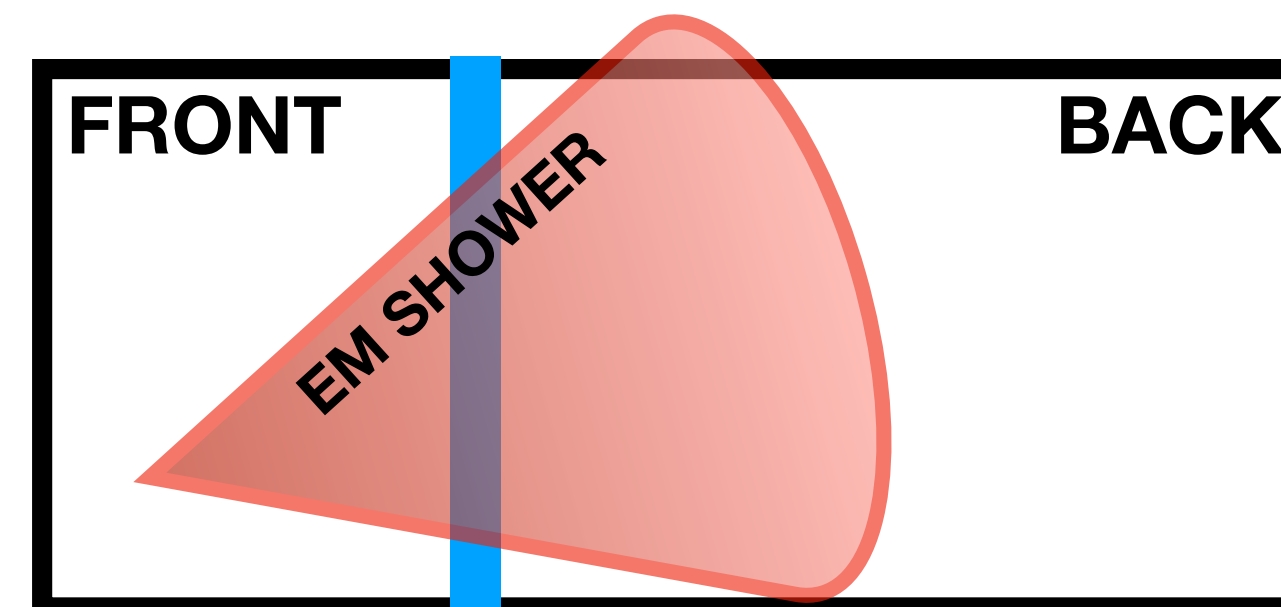
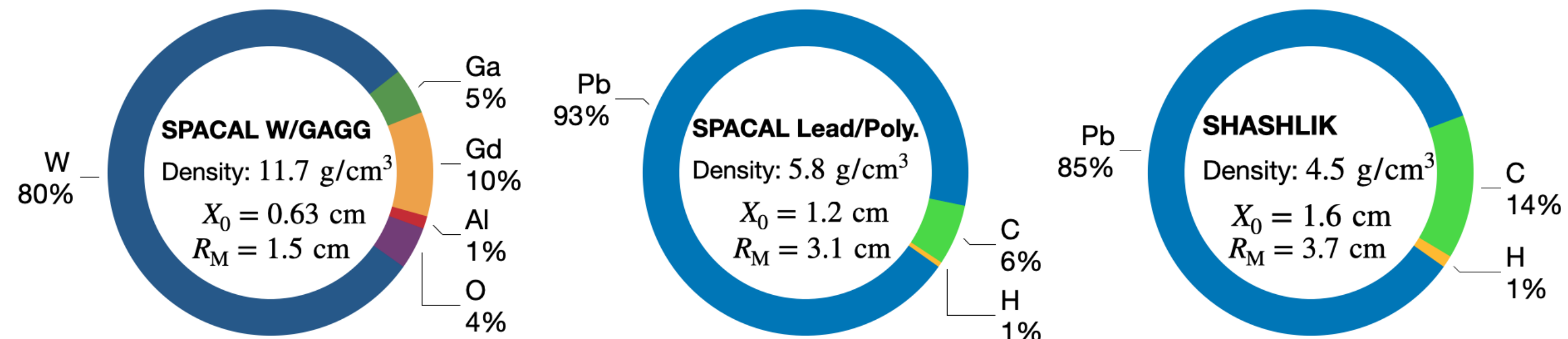
- Energy deposits are clustered depending on the cell granularities and saved on disc

- ▶ The longitudinal segmentation is considered
- ▶ Energy resolution simulated with a **random rejection** of the energy deposits

- Time of charged particles crossing the separation between front and back sections is saved

- ▶ The time measured by each cell is the average of these times + **gaussian smearing**

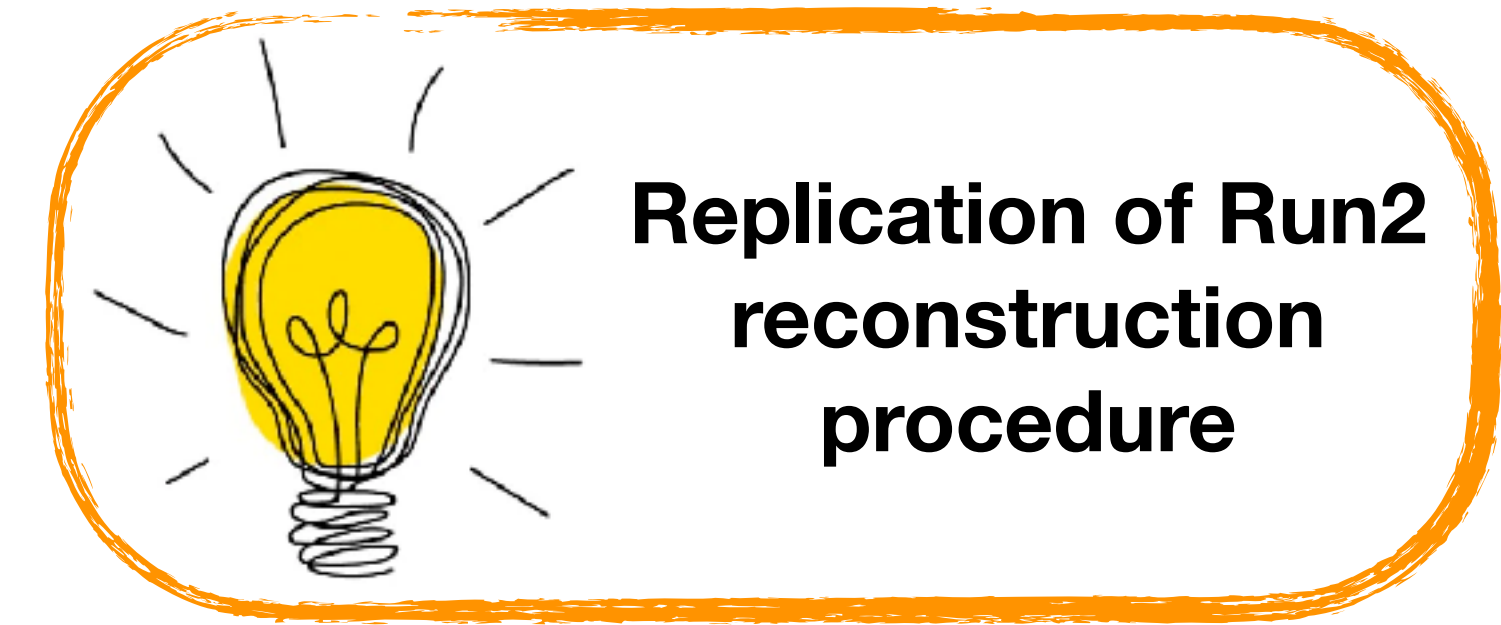
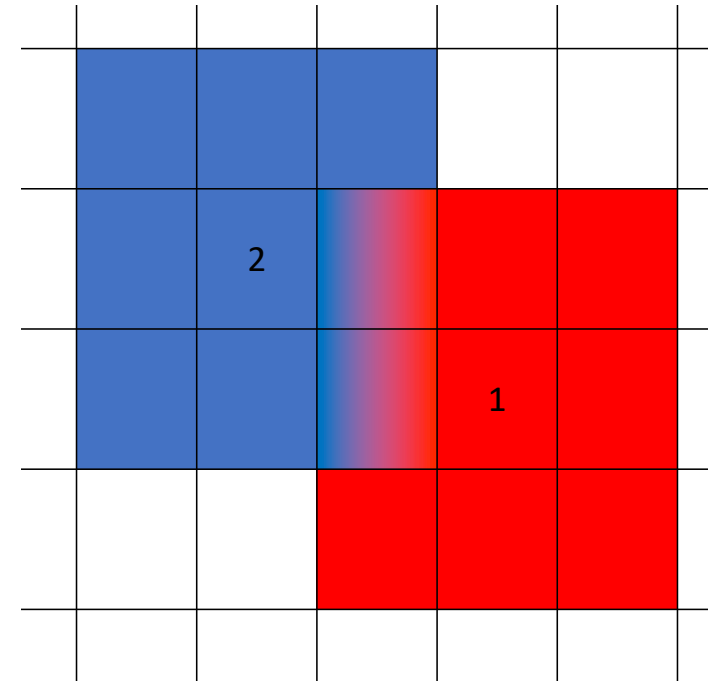
OFFLINE



ECAL reconstruction

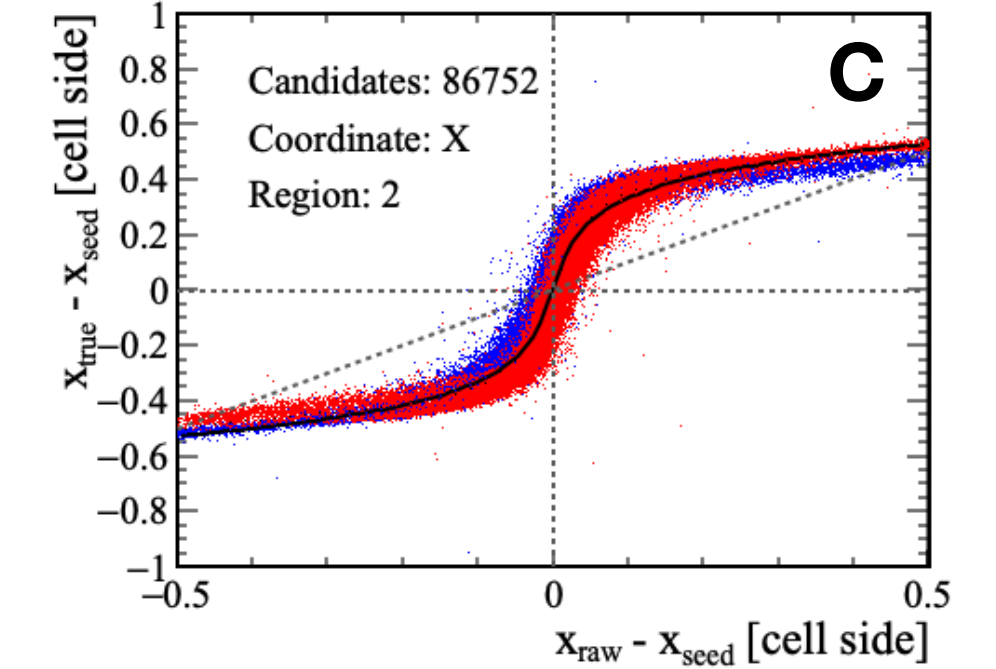
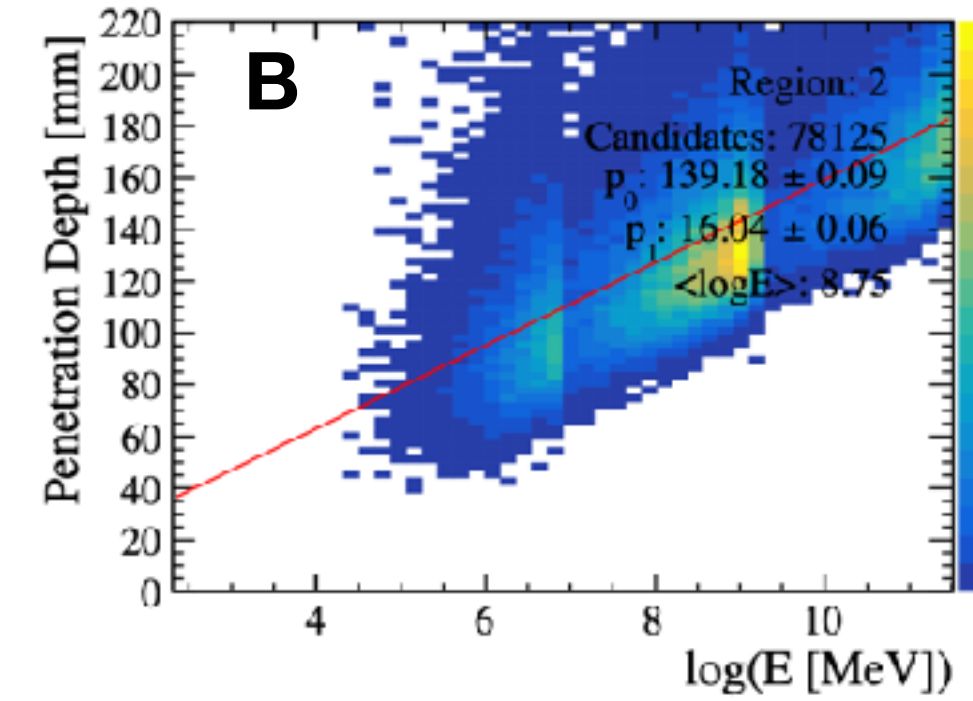
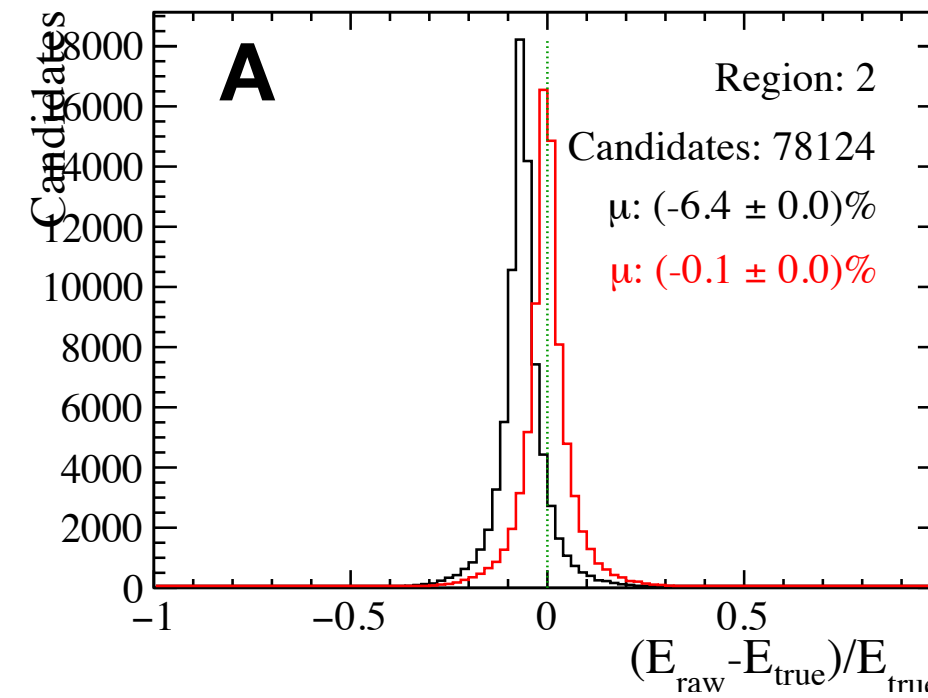
● Cluster reconstruction

1. Seeds: local maxima
2. 3×3 clusters
3. Energy redistribution



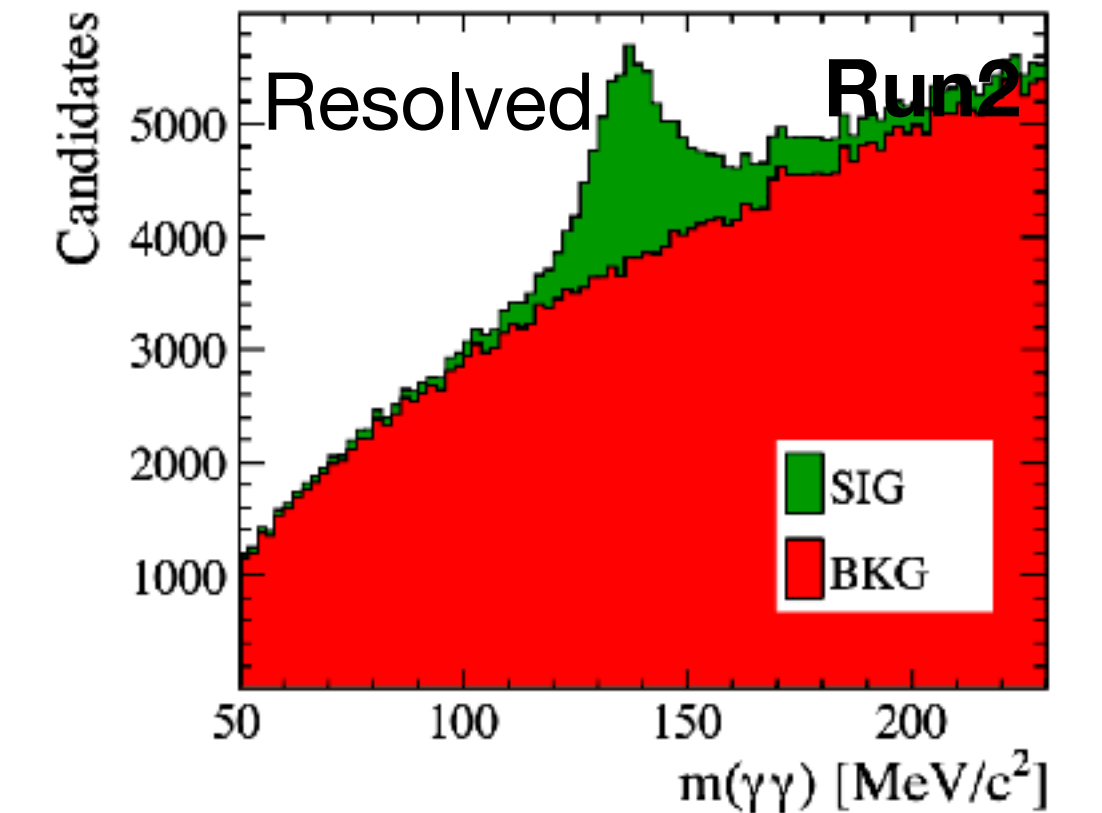
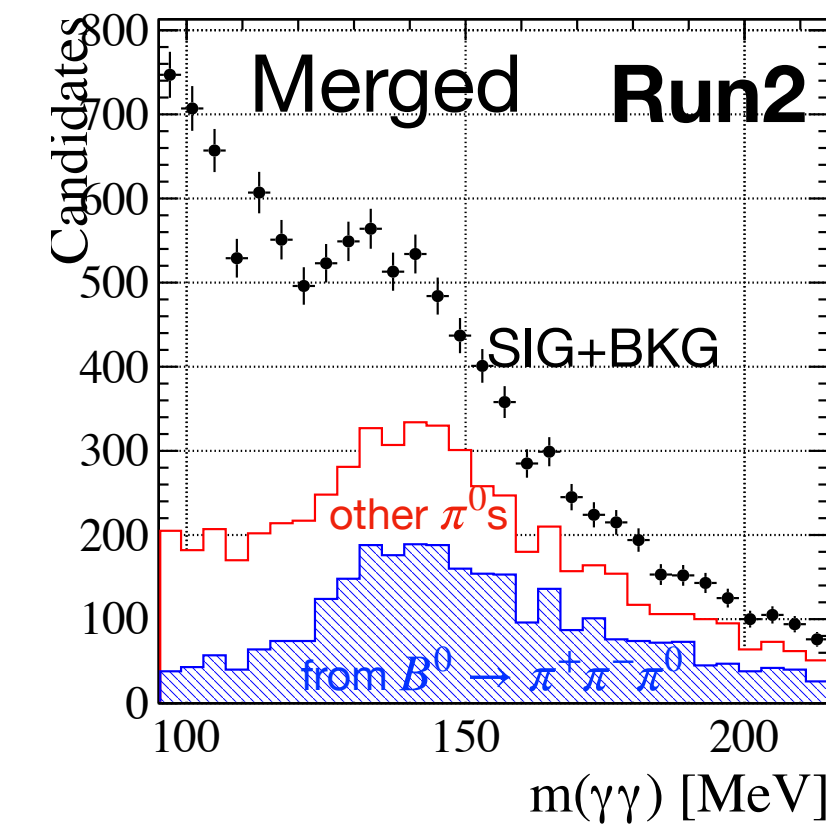
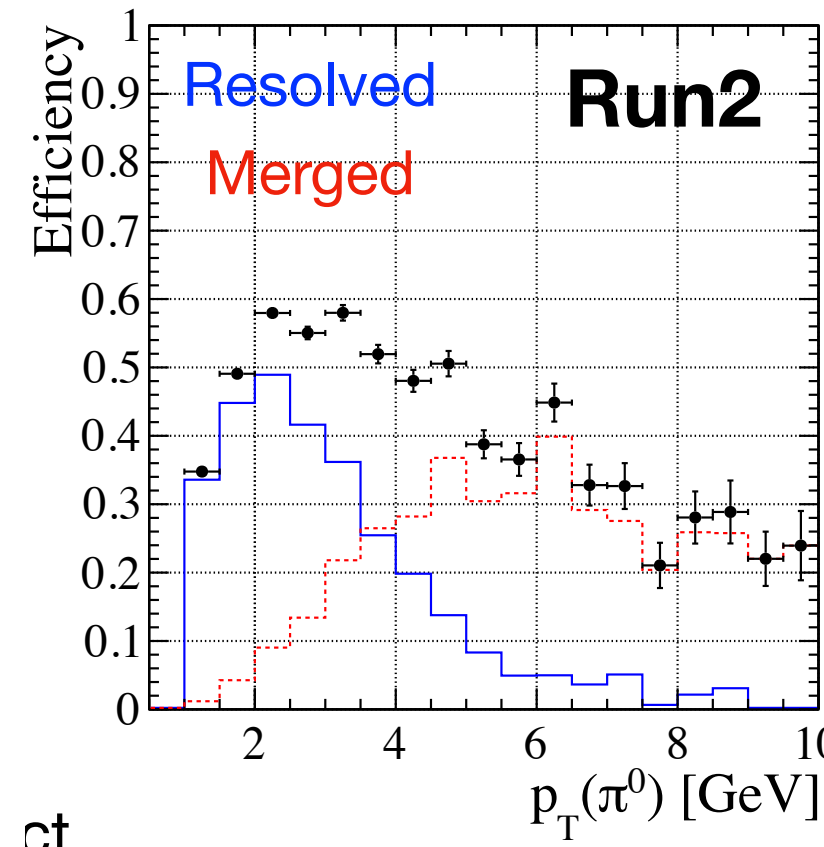
● Calibrations

- A. Energy leakage
- B. L-shape
- C. S-shape
- D. Time [backup slides]

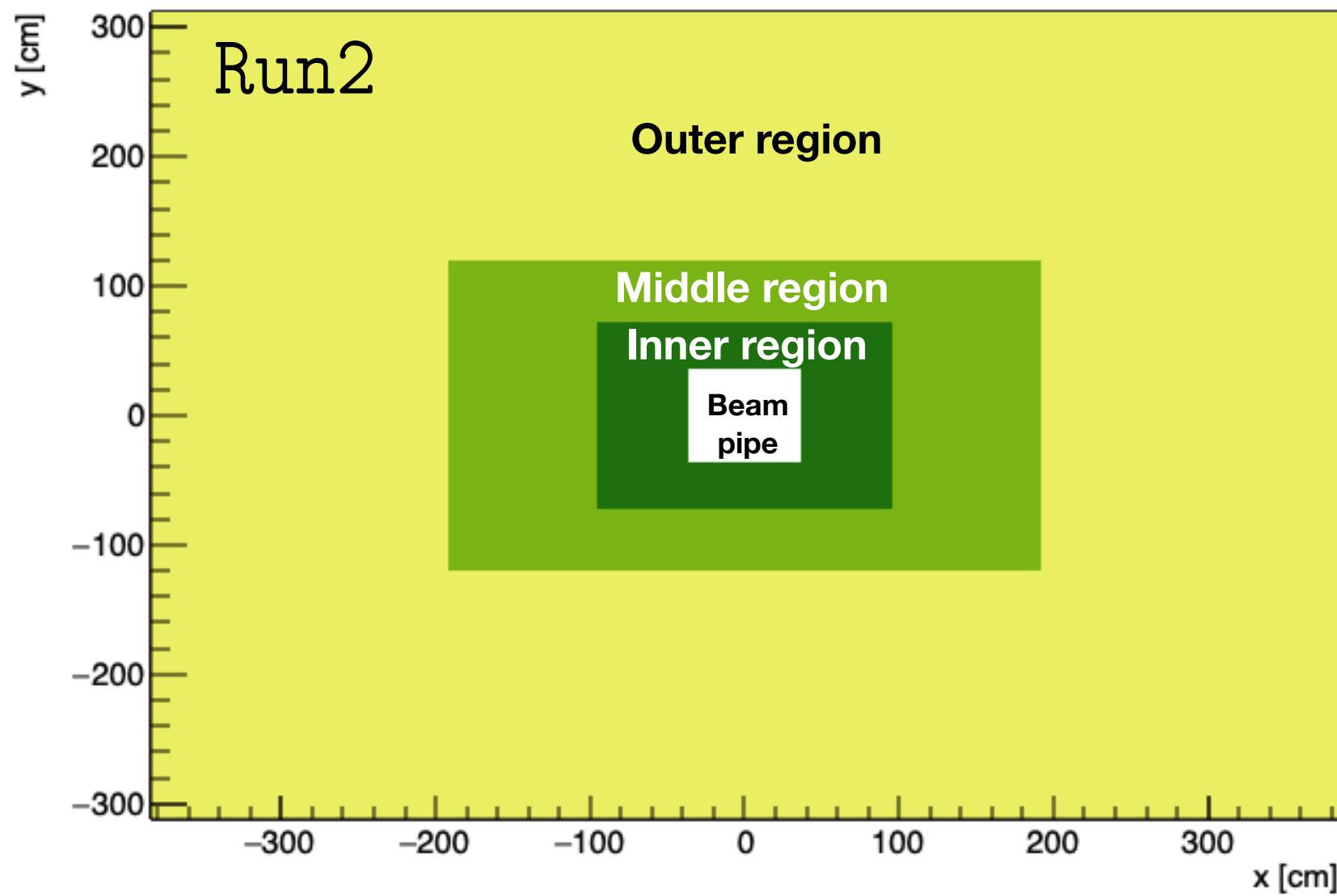


● π^0 reconstruction

- Merged
- Resolved

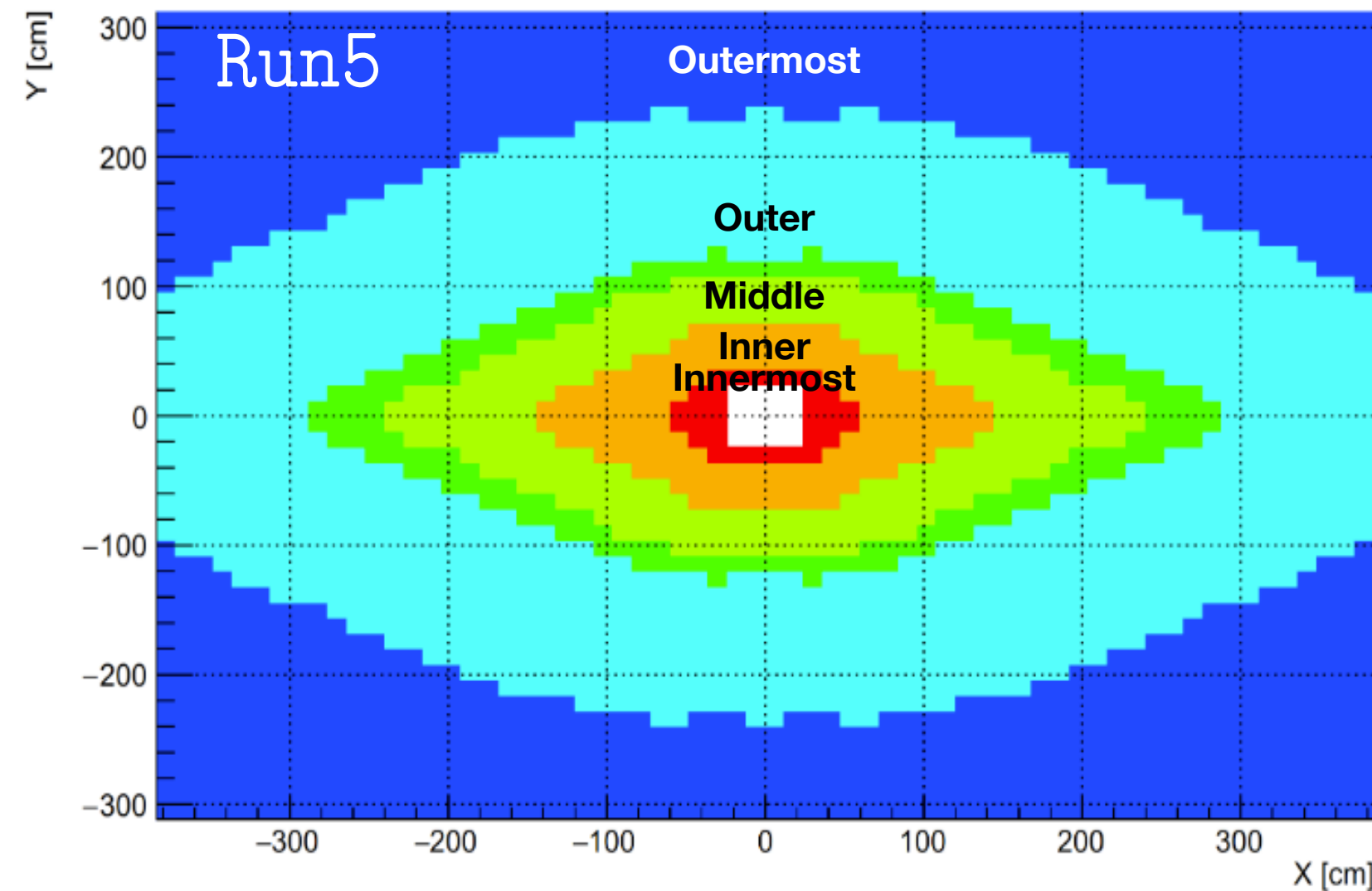


Tested ECAL configurations



CURRENT

Region		Run2	
name	index	Cell side [mm]	R_M [mm]
Inner	0	40	35
Middle	1	60	35
Outer	2	120	35



U2 BASELINE

BETTER OUTER

EVEN BETTER

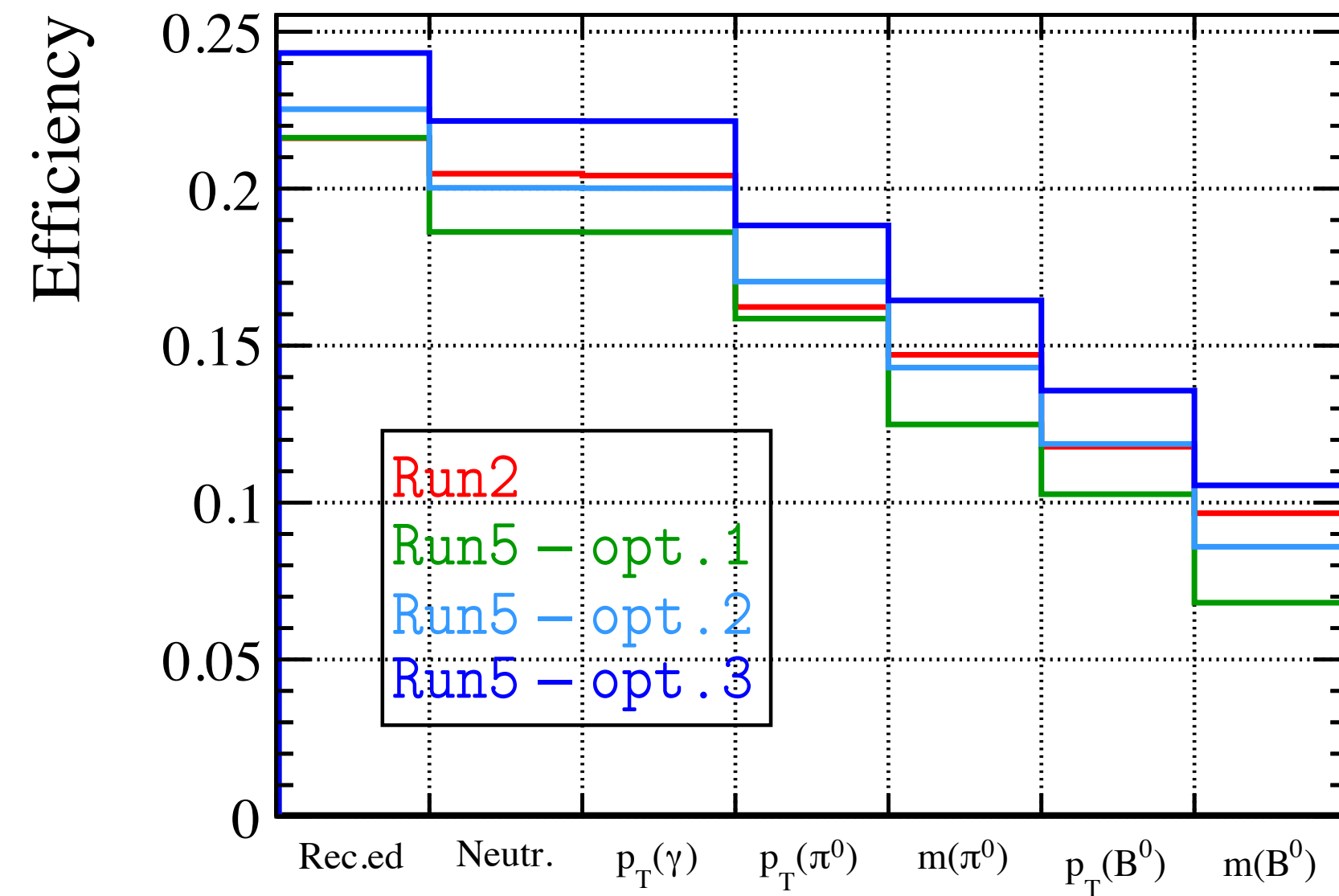
Region		Run5-opt. 1		Run5-opt. 2		Run5-opt. 3	
name	index	Cell side [mm]	R_M [mm]	Cell side [mm]	R_M [mm]	Cell side [mm]	R_M [mm]
Innermost	0	15	15	15	15	15	15
Inner	1	30	30	30	30	15	15
Middle	2	40	35	40	35	40	35
Outer	4	60	35	40	35	40	35
Outermost	5	120	35	60	35	60	35

$B^0 \rightarrow \pi^+ \pi^- \pi^0$ selection

ASSUMPTION: perfect tracking

Merged π^0	Resolved π^0
γ -track distance > 1 cell side $p_T(\gamma) > 200 \text{ MeV}/c$	
$p_T(\pi^0) > 2.5 \text{ GeV}/c$ $m(\pi^0) \in [75, 195] \text{ GeV}/c^2$	$p_T(\pi^0) > 1.5 \text{ GeV}/c$ $m(\pi^0) \in [110, 170] \text{ GeV}/c^2$
$p_T(B^0) > 3 \text{ GeV}/c$ $m(B^0) \in [5.1, 5.5] \text{ GeV}/c^2$	$p_T(B^0) > 2.5 \text{ GeV}/c$ $m(B^0) \in [5.1, 5.5] \text{ GeV}/c^2$

[from stripping selection used in CERN-THESIS-2013-051]

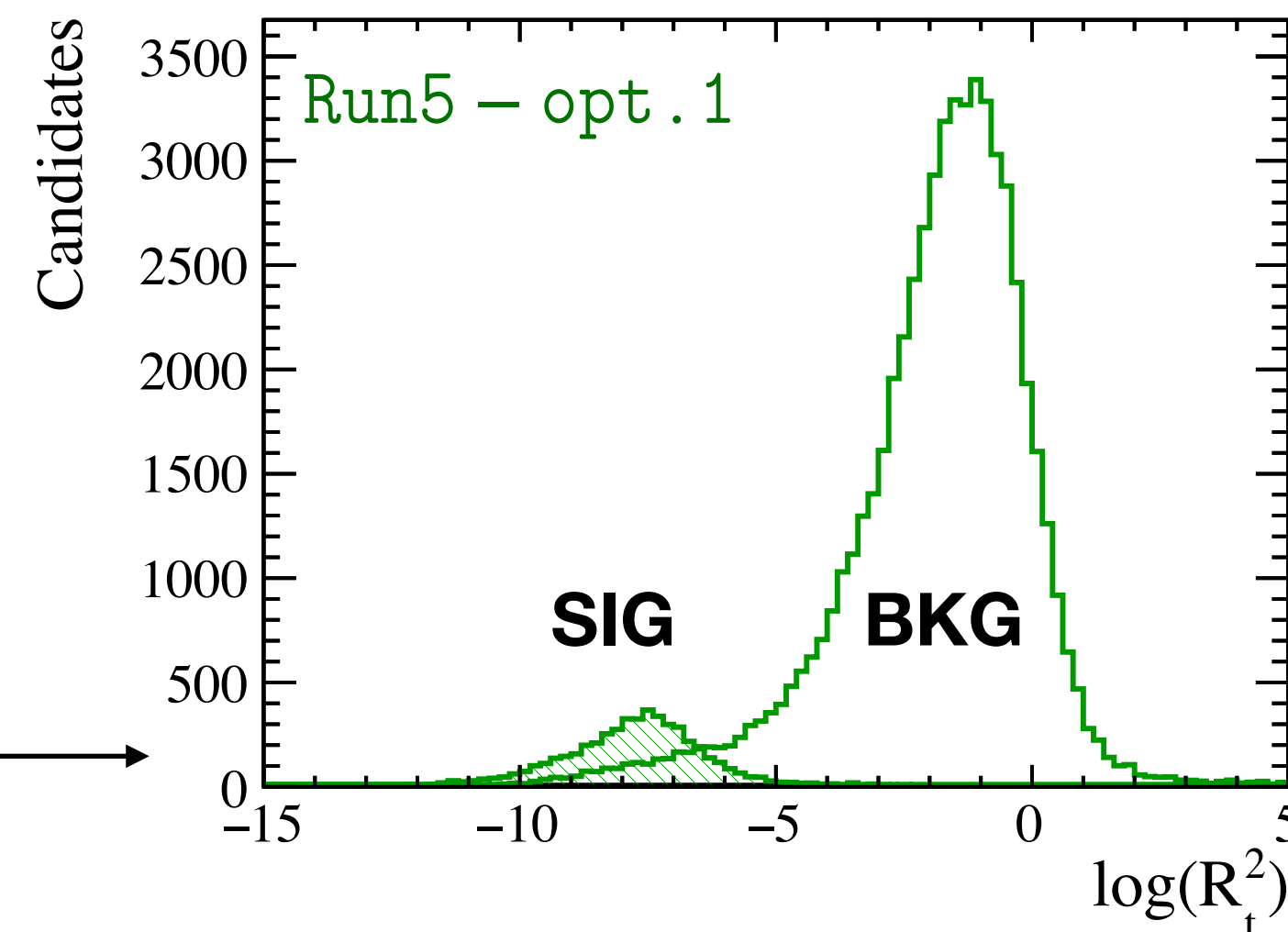


Efficiency denominator is the number of generated events (80k for all config.s)

Time info. from tracking assumed to be more precise than the one from the calo

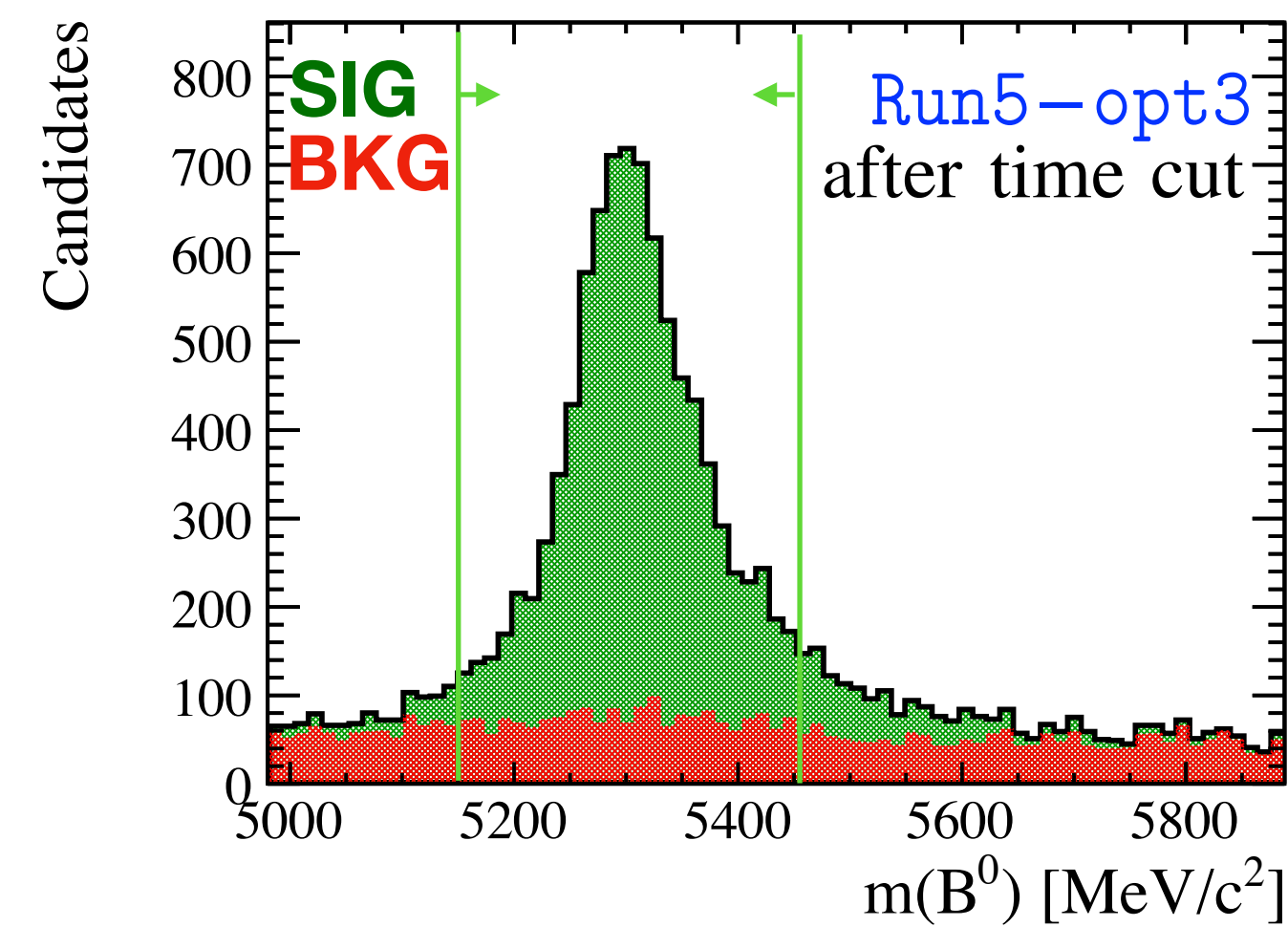
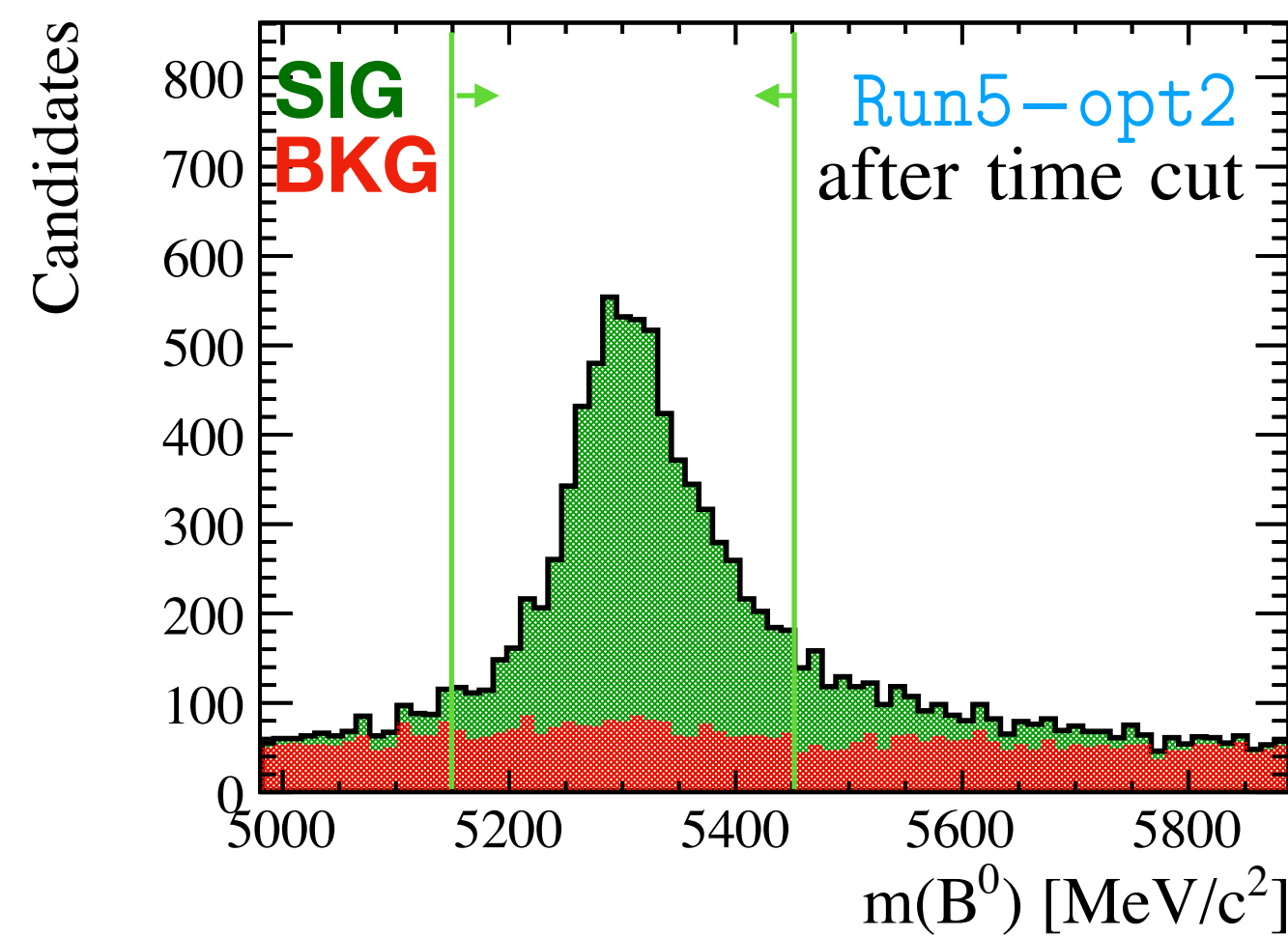
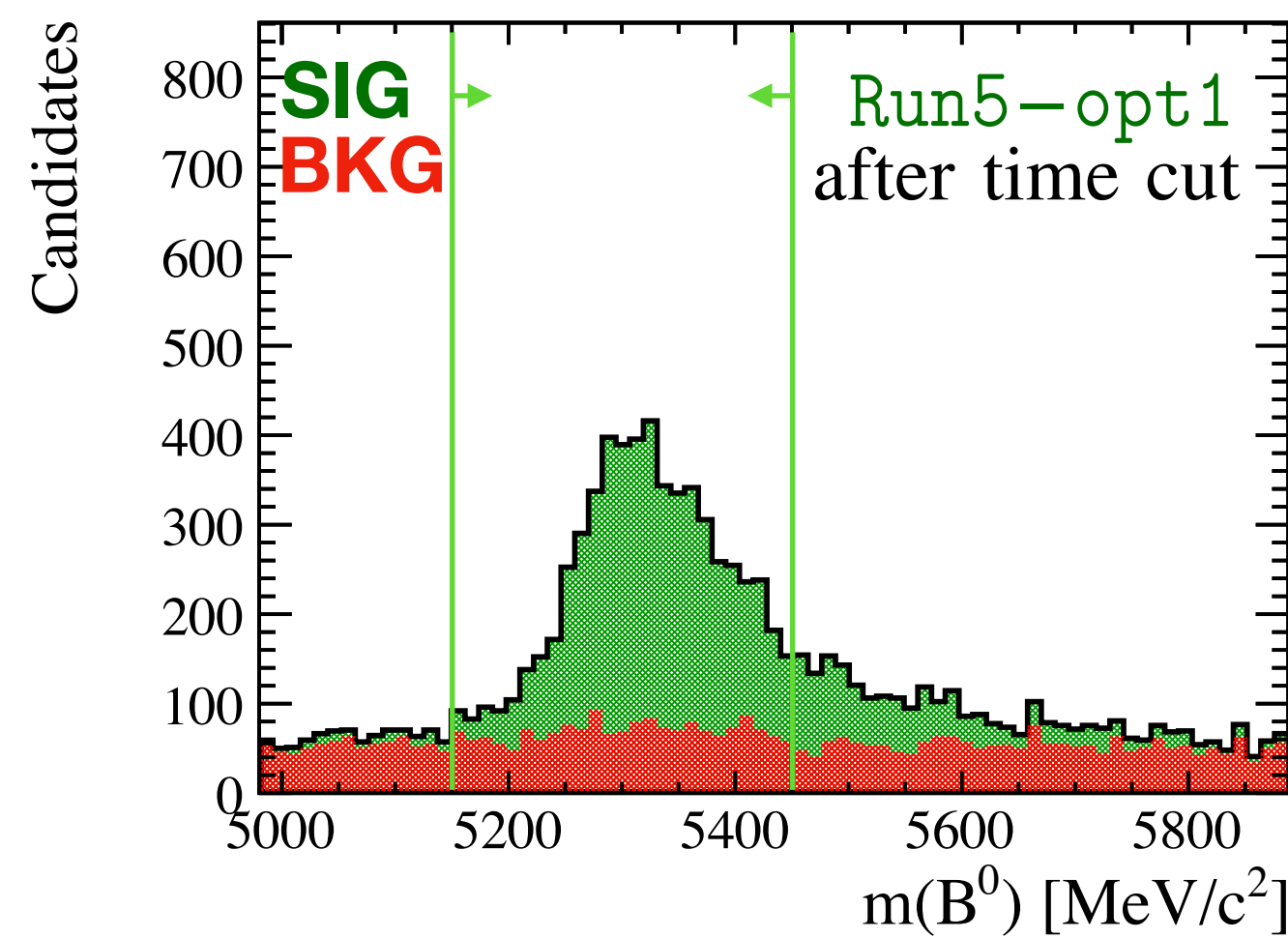
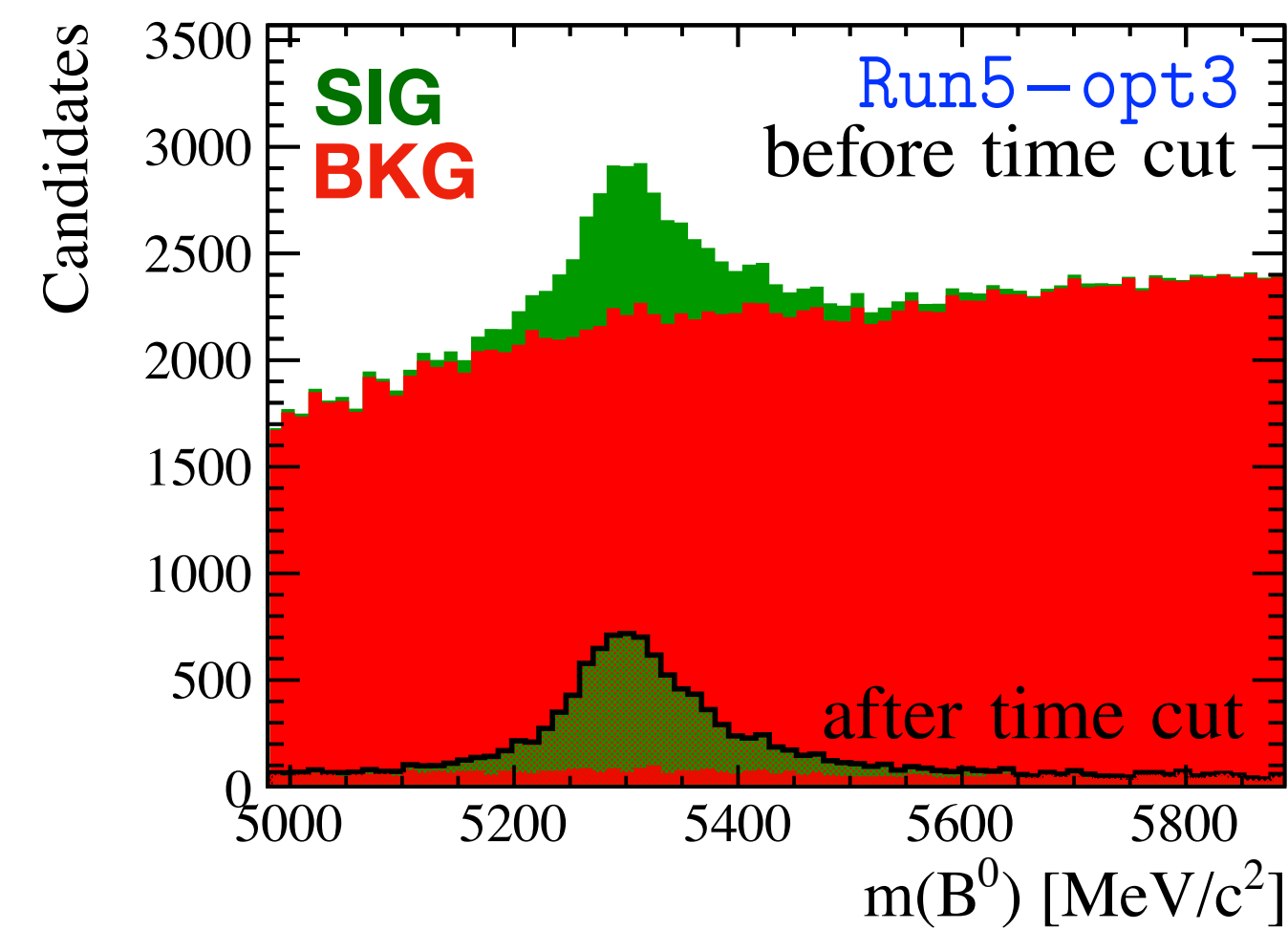
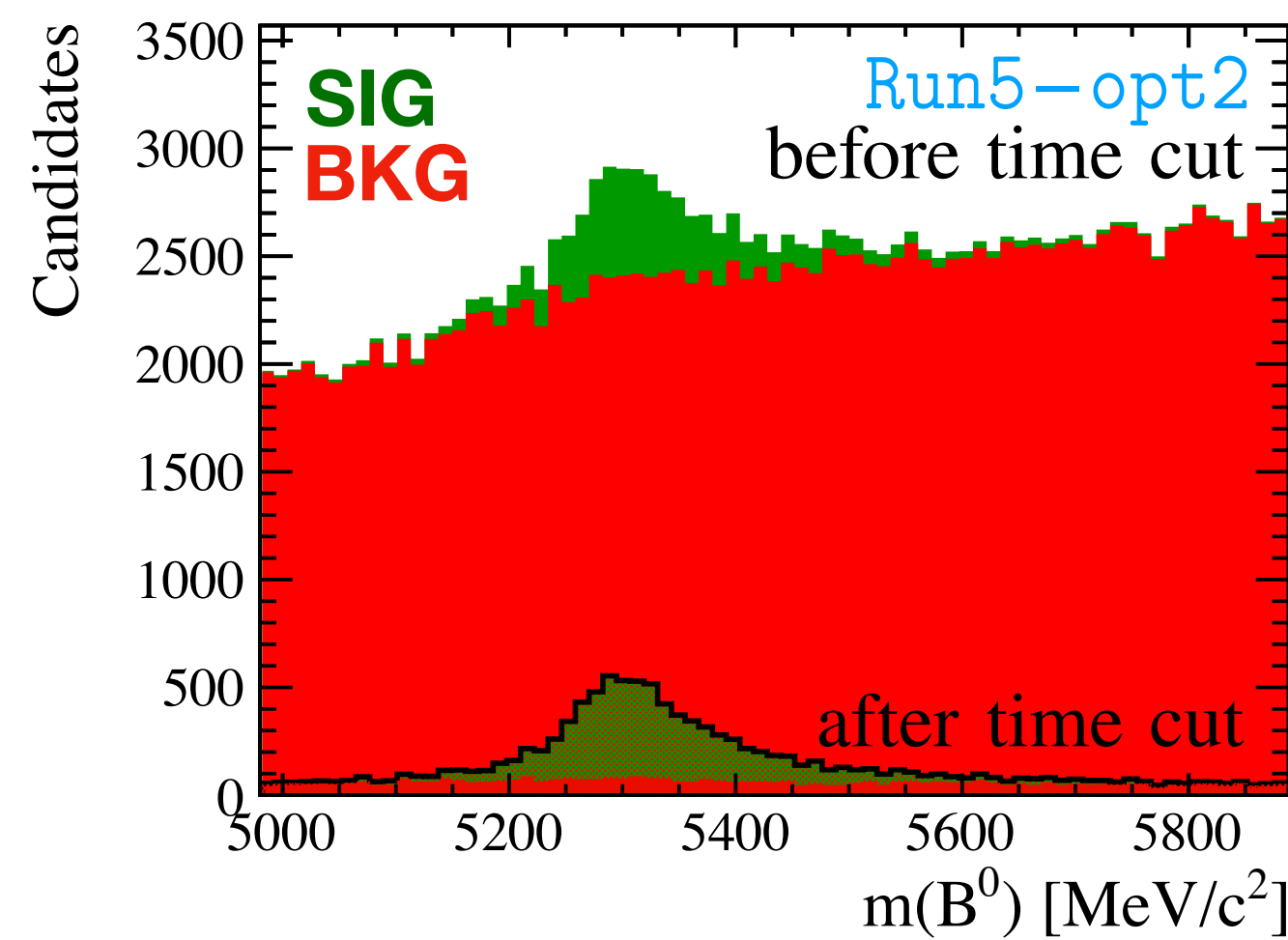
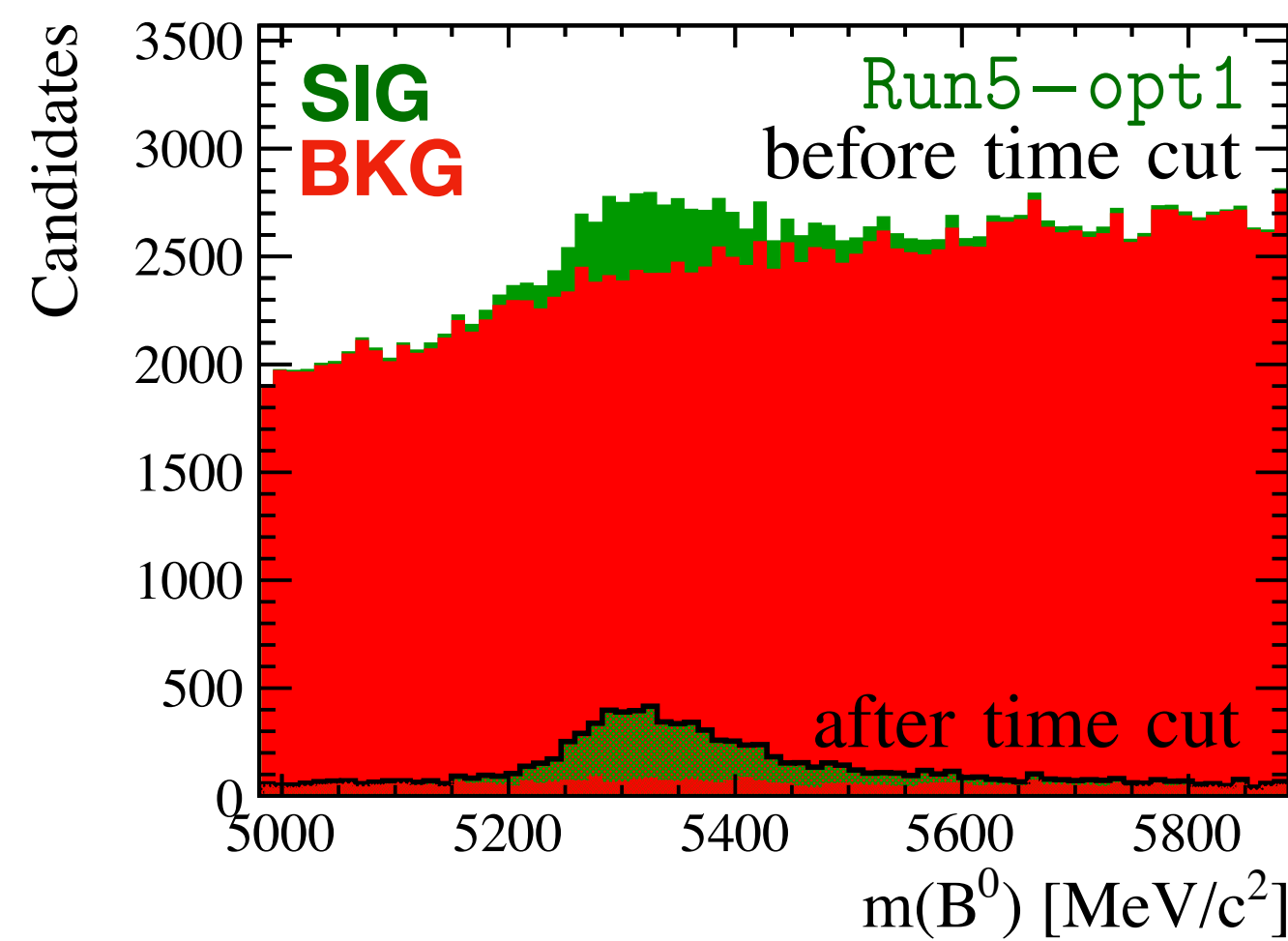
$$t_{1,2}^{\text{expect.}} = \sqrt{(x_i^{\text{ECAL}} - x_B^{\text{end}})^2 + (y_i^{\text{ECAL}} - y_B^{\text{end}})^2 + (z_i^{\text{ECAL}} - z_B^{\text{end}})^2} + t_B^{\text{end}}$$

$$R_t^2 = (t_1^{\text{ECAL}} - t_1^{\text{expect.}})^2 + (t_2^{\text{ECAL}} - t_2^{\text{expect.}})^2$$



Background is due to multiple candidates not matched with the signal (mainly combinatorial for resolved π^0 from the rest of the event)

Invariant mass plots

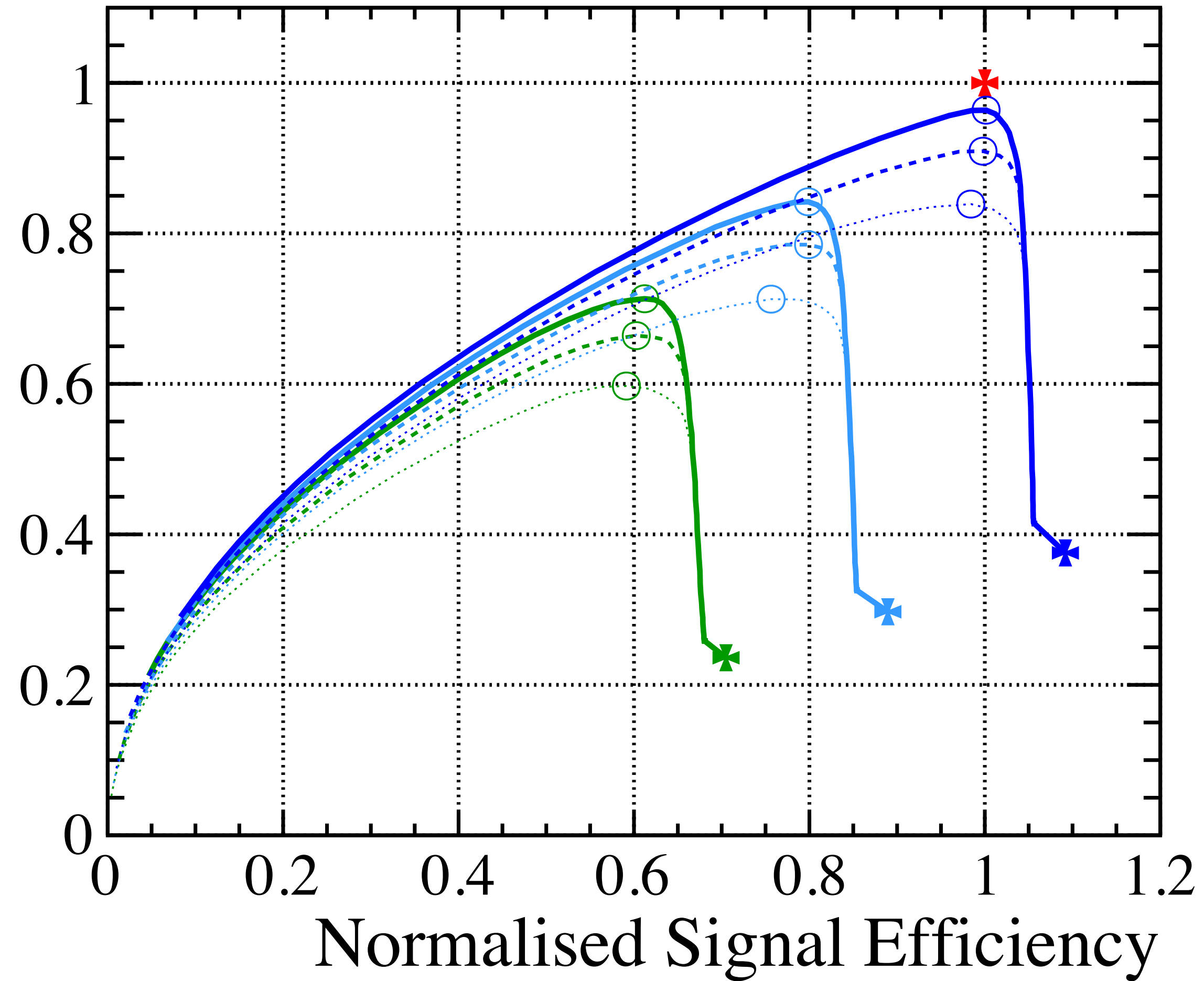


Global $B^0 \rightarrow \pi^+ \pi^- \pi^0$ performance

Each point of the curves represents a particular cut on R_t

Normalisation: simulated Run2 performances

Normalised $S/\sqrt{S+B}$

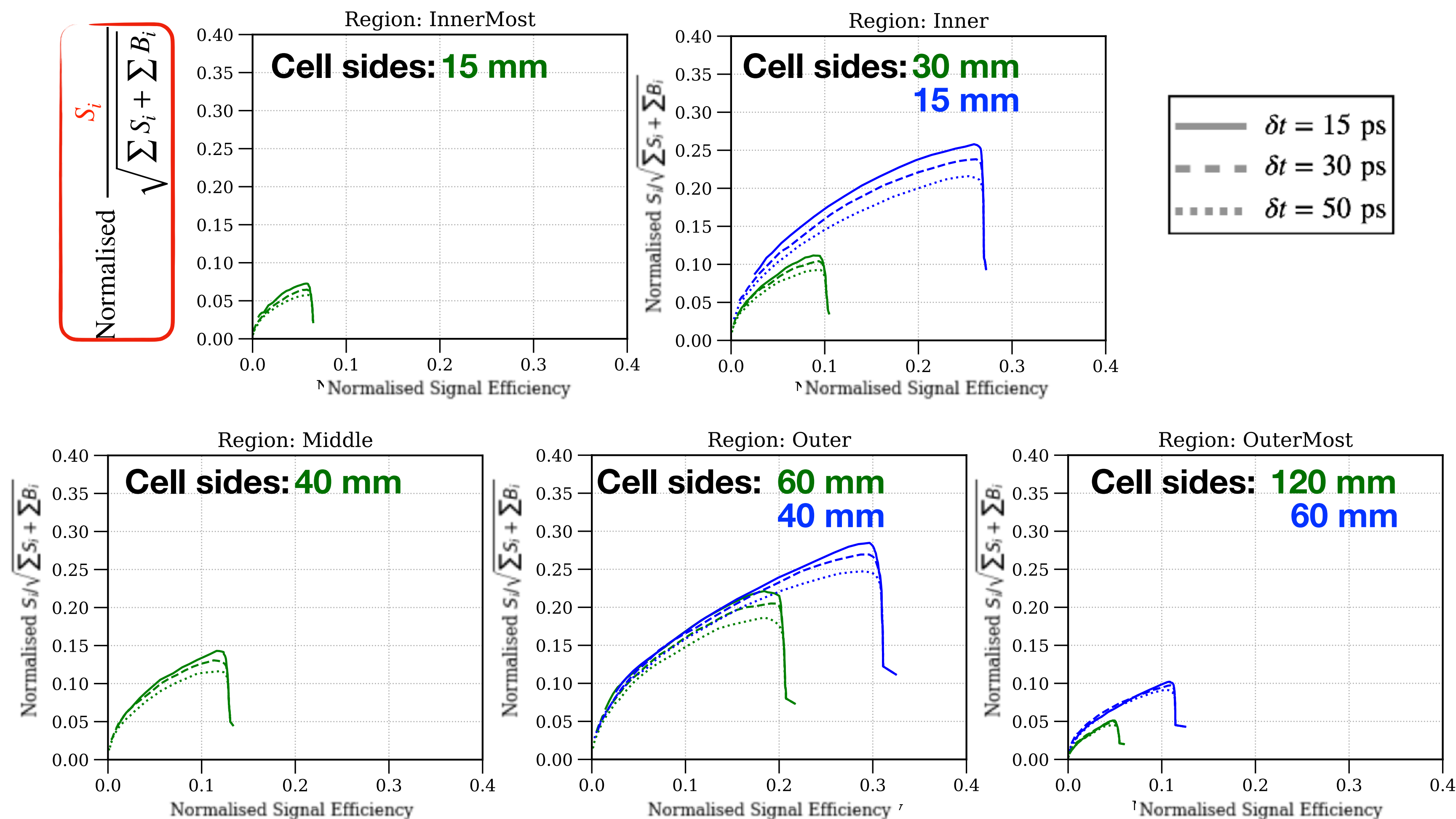


Run2
Run5 - opt. 1
Run5 - opt. 2
Run5 - opt. 3

$\delta t = 15$ ps
 $\delta t = 30$ ps
 $\delta t = 50$ ps

NO TIME
MAX OF $S/\sqrt{S+B}$

Performance per region



- Significance denominator: same as previous slide

- Significance numerator: signal yield per region

- Performance benefit from better granularity

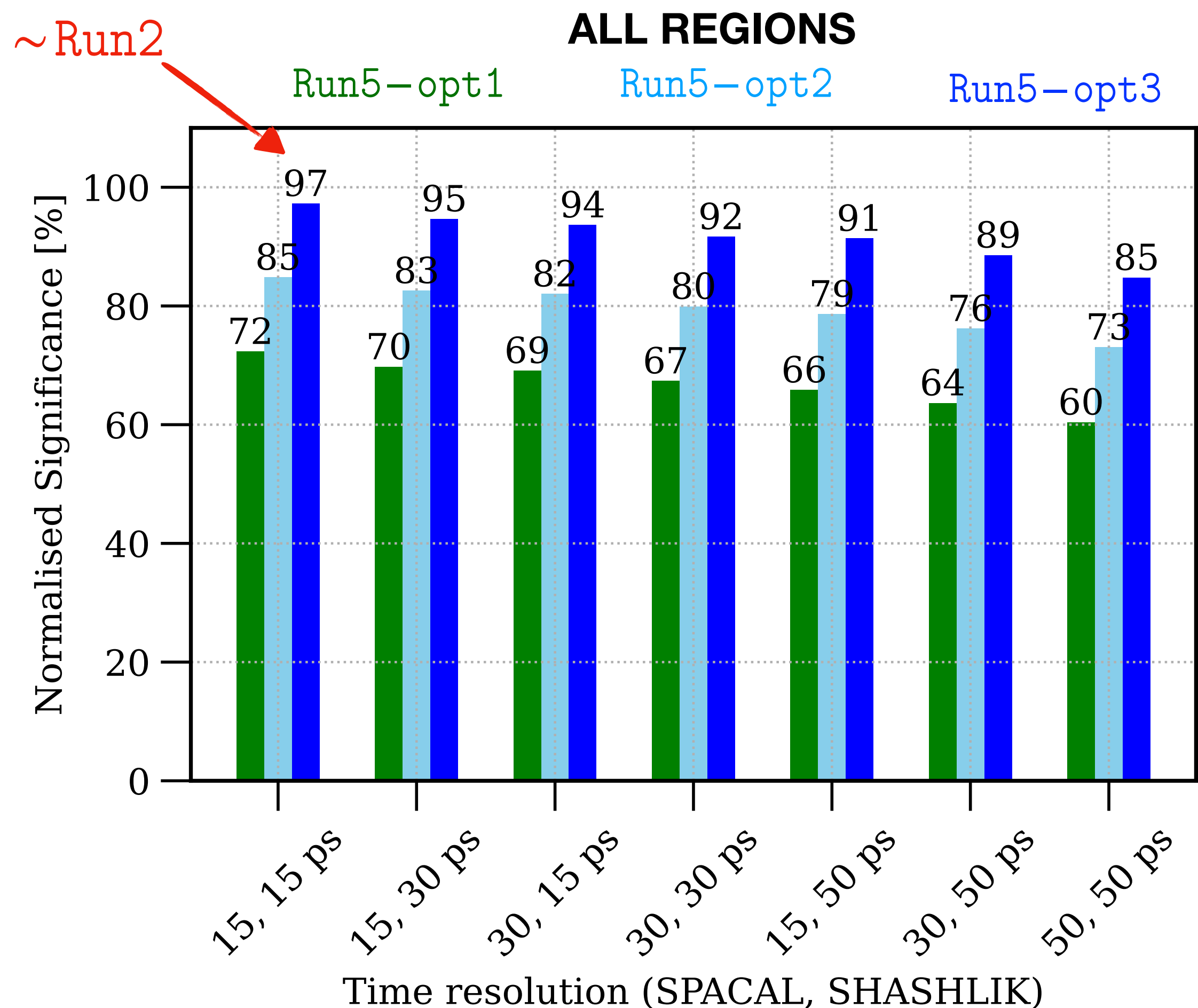
- The inner the region, the larger the advantage from better time resolution

- Contribution to reconstructed signals:

- *Outer* more relevant than *Inner*
- *InnerMost* almost similar to *OuterMost*

Signal candidates with final-state γ s hitting different regions are **neglected** (~10%)

Significance with mixed time resolution



- $S/\sqrt{S+B}$ is normalised to Run2 total

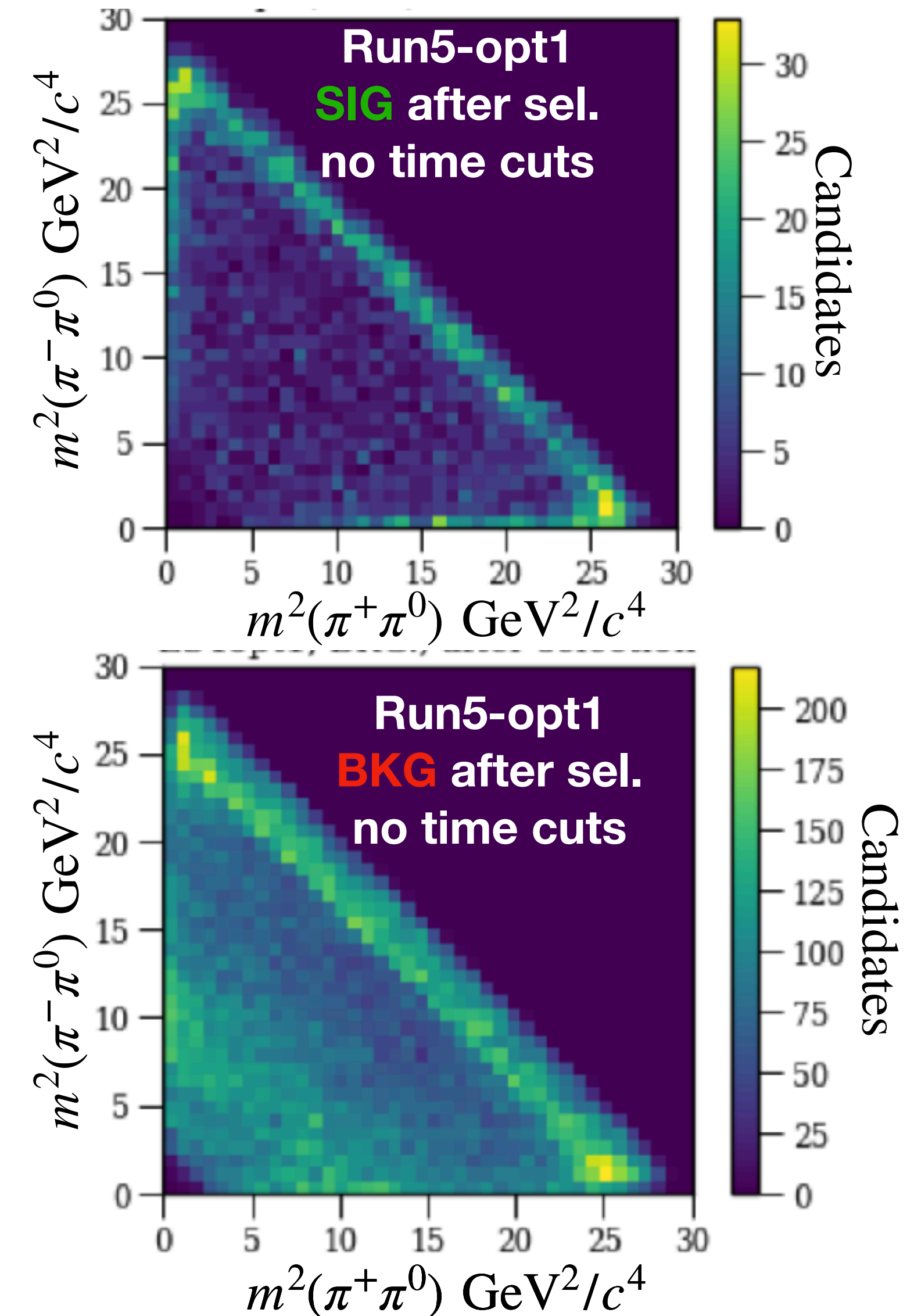
- Here the R_t cut is optimised independently for each region and time resolution

- Performance degradation with poorer time resolution, but:
 - 15, 30 ps \approx 30, 15 ps
 - 30, 30 ps \approx 15, 50 ps

Signal candidates with final-state γ s hitting different regions are **considered**

Dalitz plot per region

- Not all the regions of the Dalitz plane are equally relevant to measure the CPV observables
- This simulation assumes a **flat squared-Dalitz model**
 - Higher SIG statistics in the more relevant regions (resonance interference)
- The Dalitz distribution of the BKG could be different from SIG

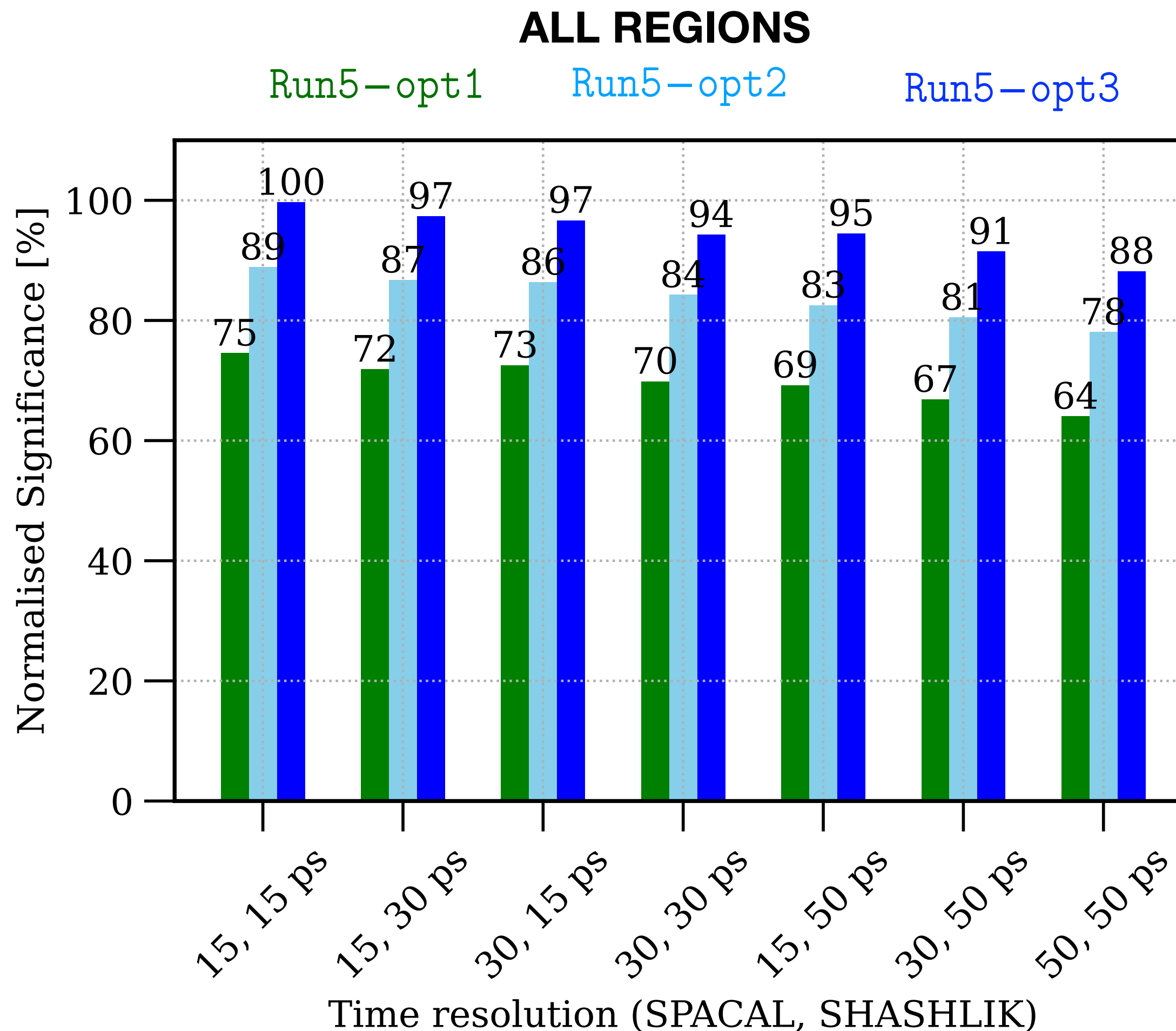
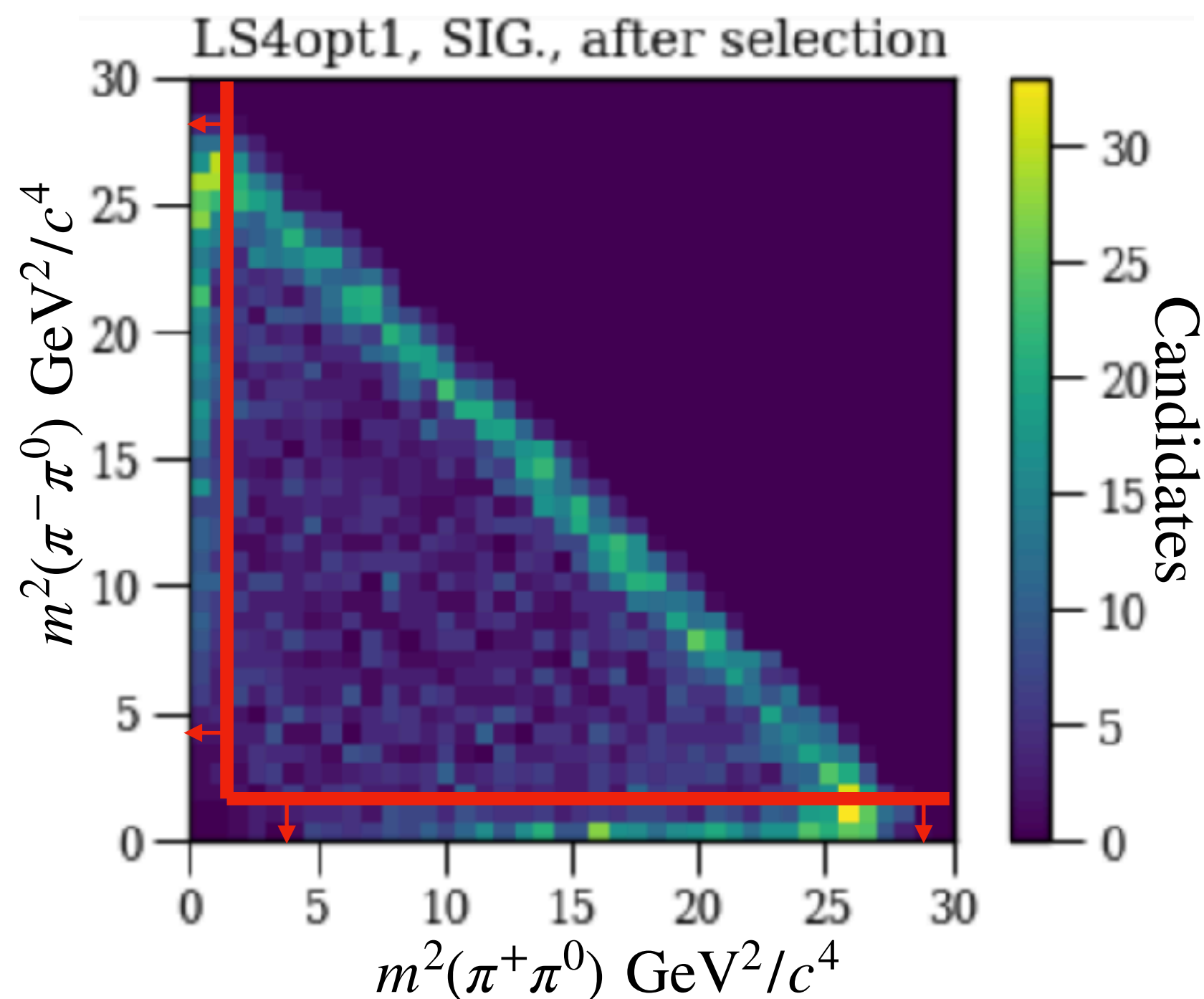


Dalitz plot performance

- Additional requirement:

$$\min[m(\pi^+\pi^0), m(\pi^-\pi^0)] < 1.2 \text{ GeV}/c^2$$

[CERN-THESIS-2013-051]



- $S/\sqrt{S+B}$ is normalised to Run2 total
- The R_t cut is optimised independently for each region and time resolution

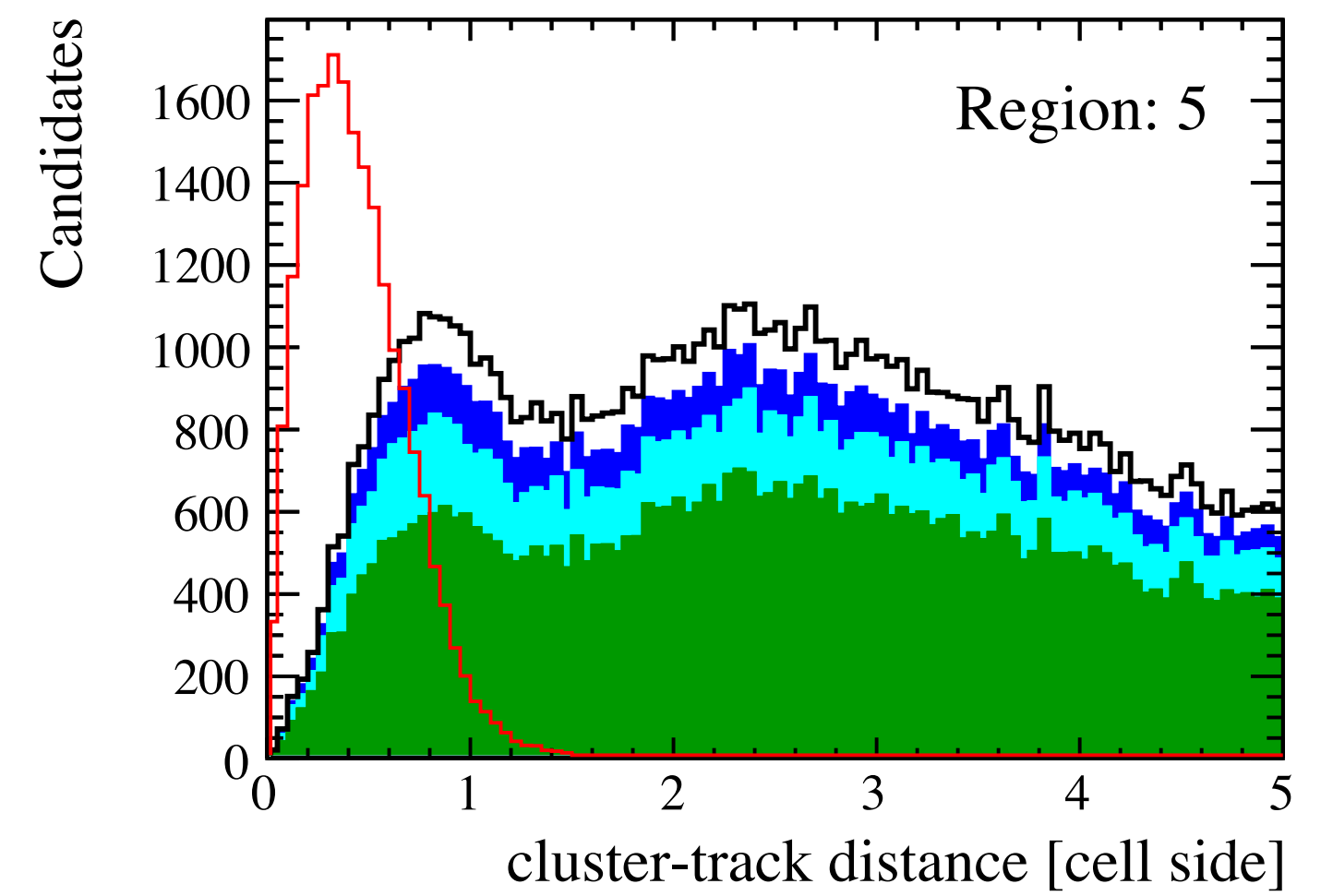
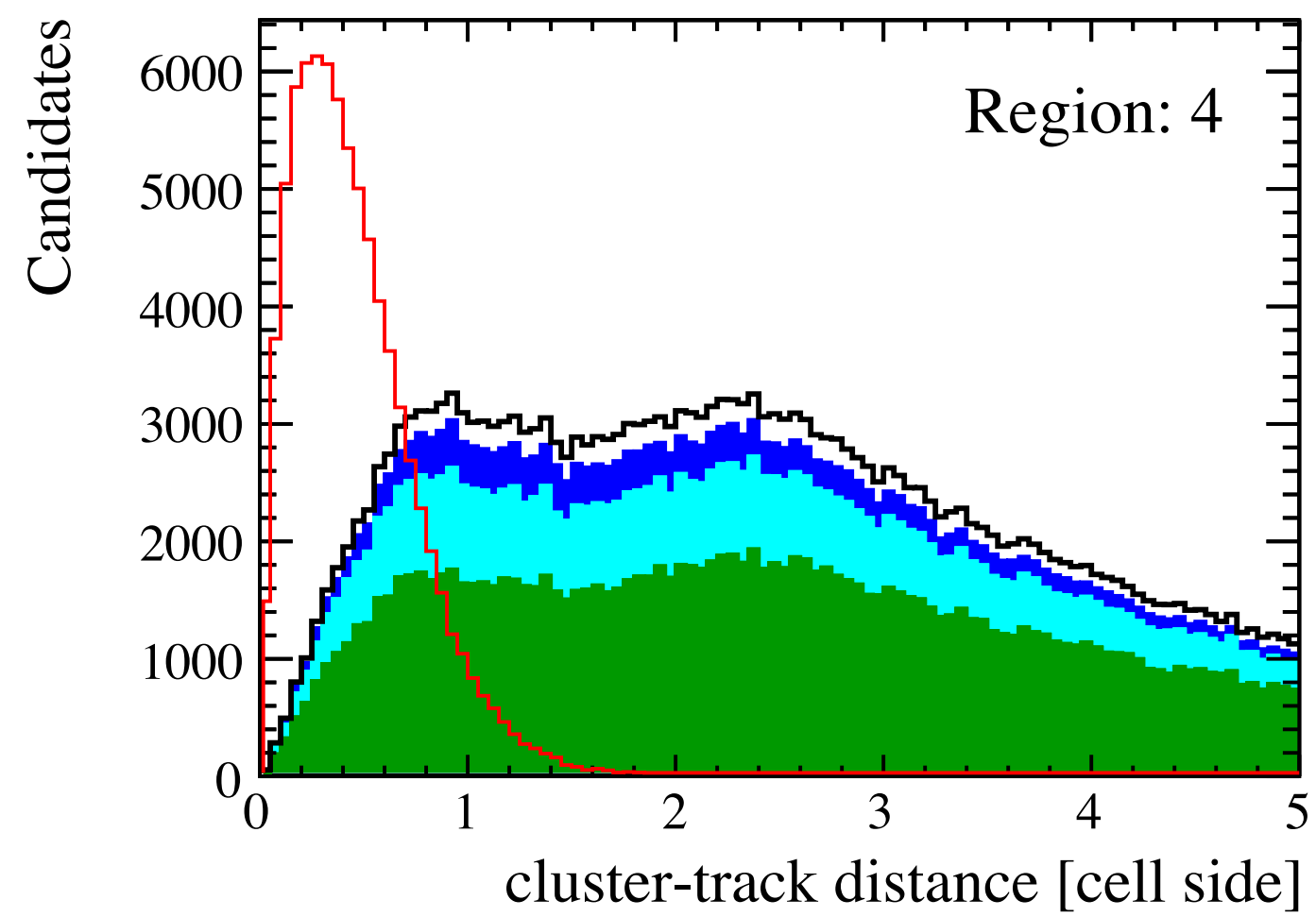
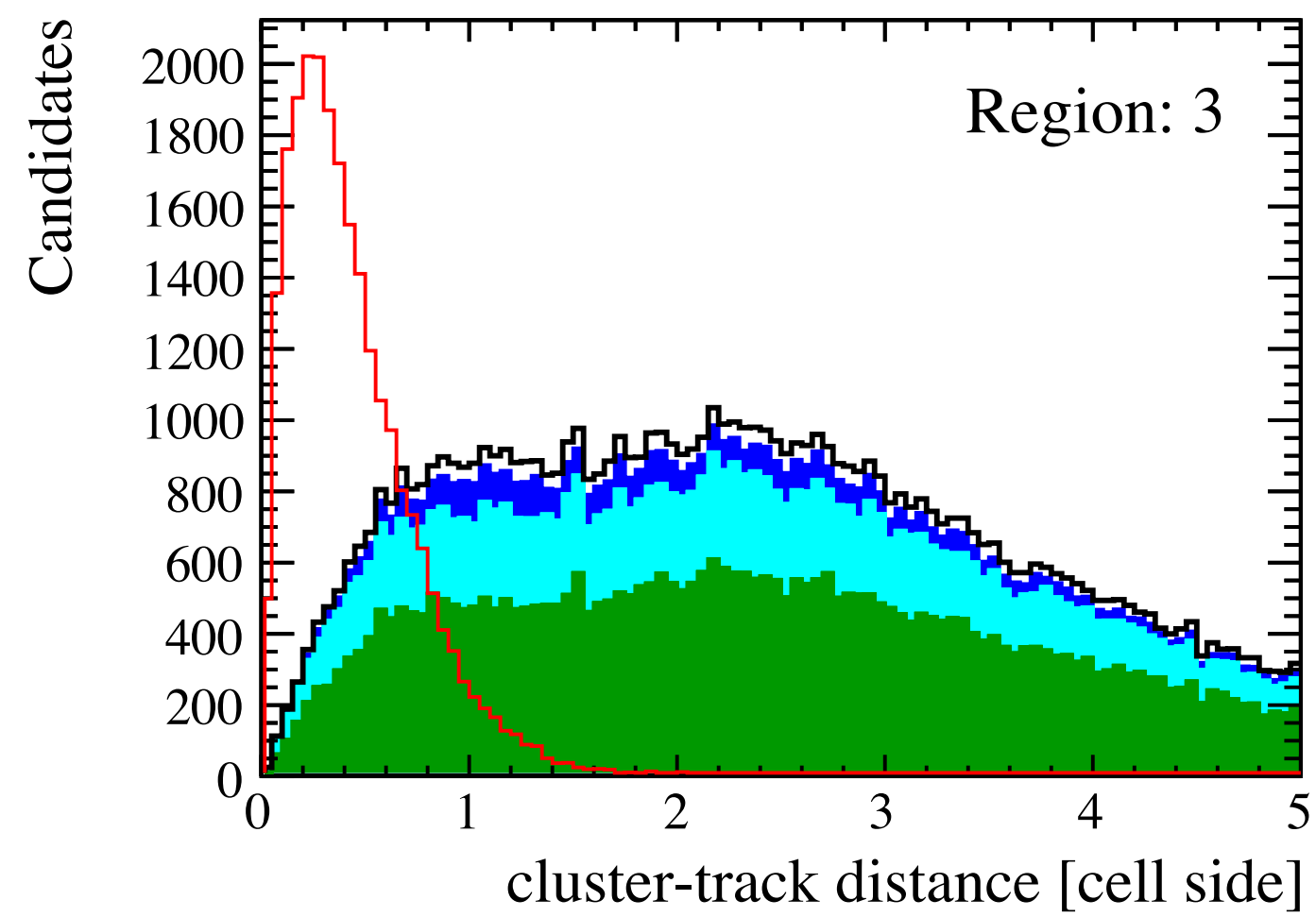
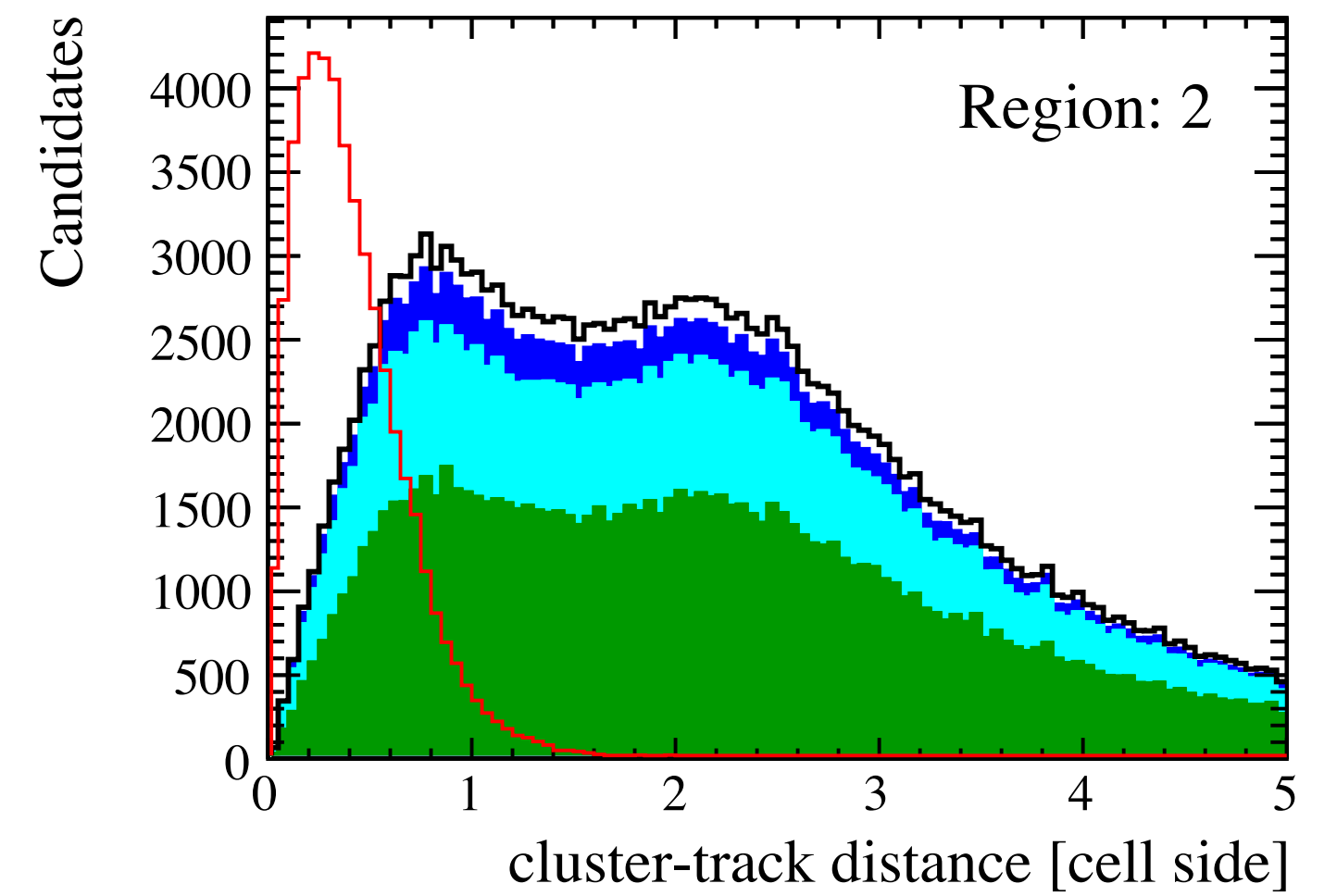
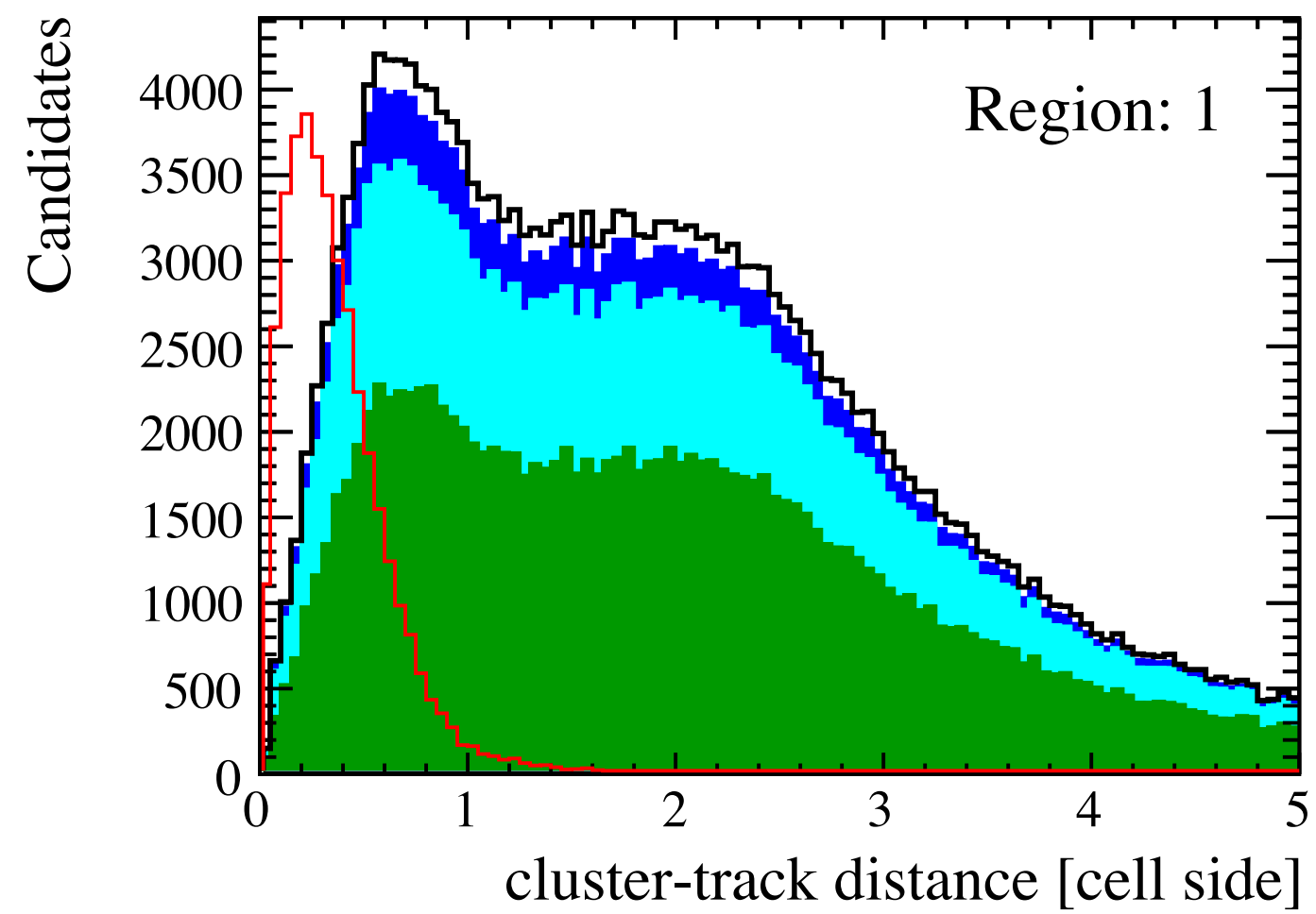
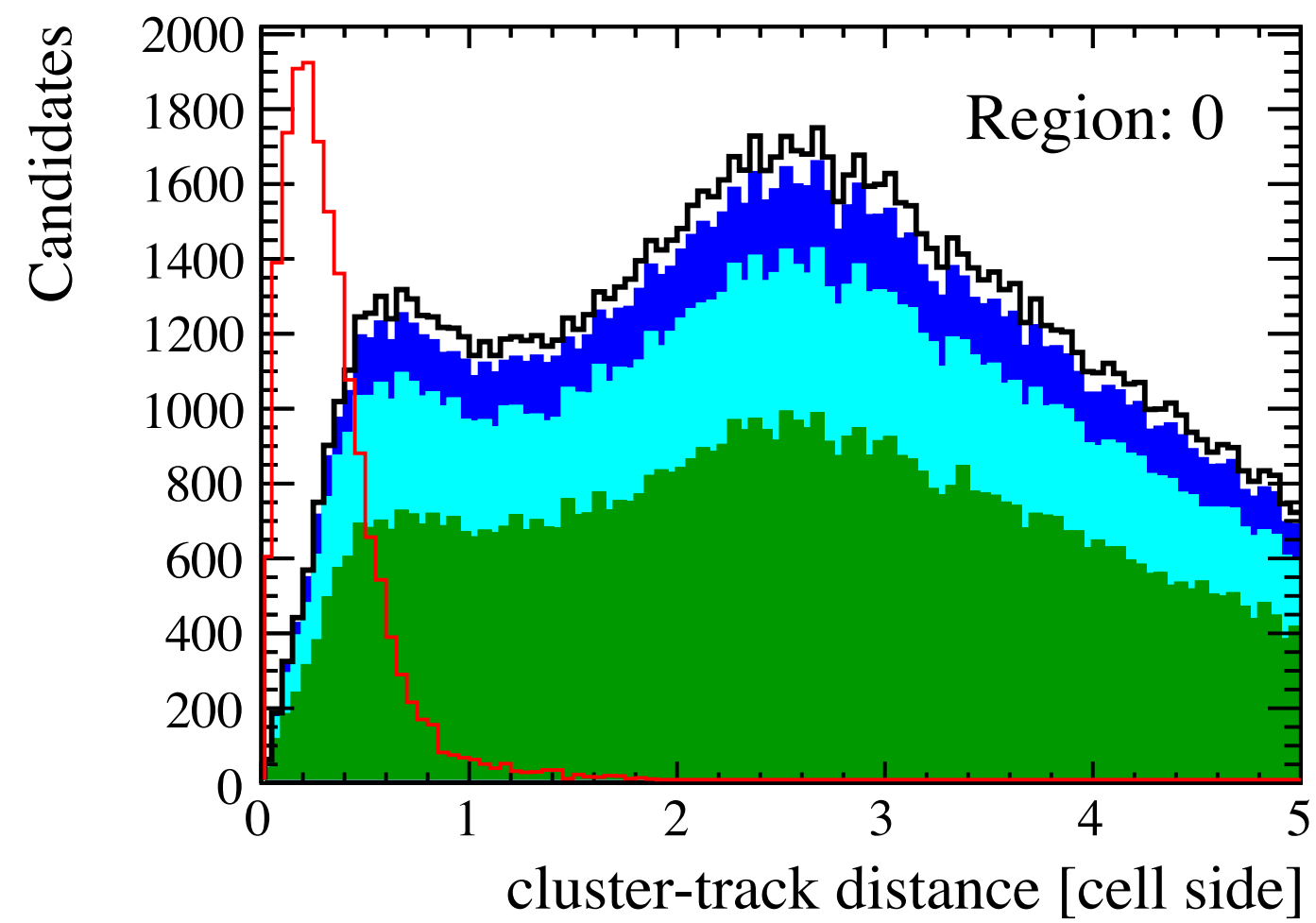
No dramatic difference wrt the analysis considering the total Dalitz plane

To do: enlarge the simulated sample to repeat this study depending on the ECAL region

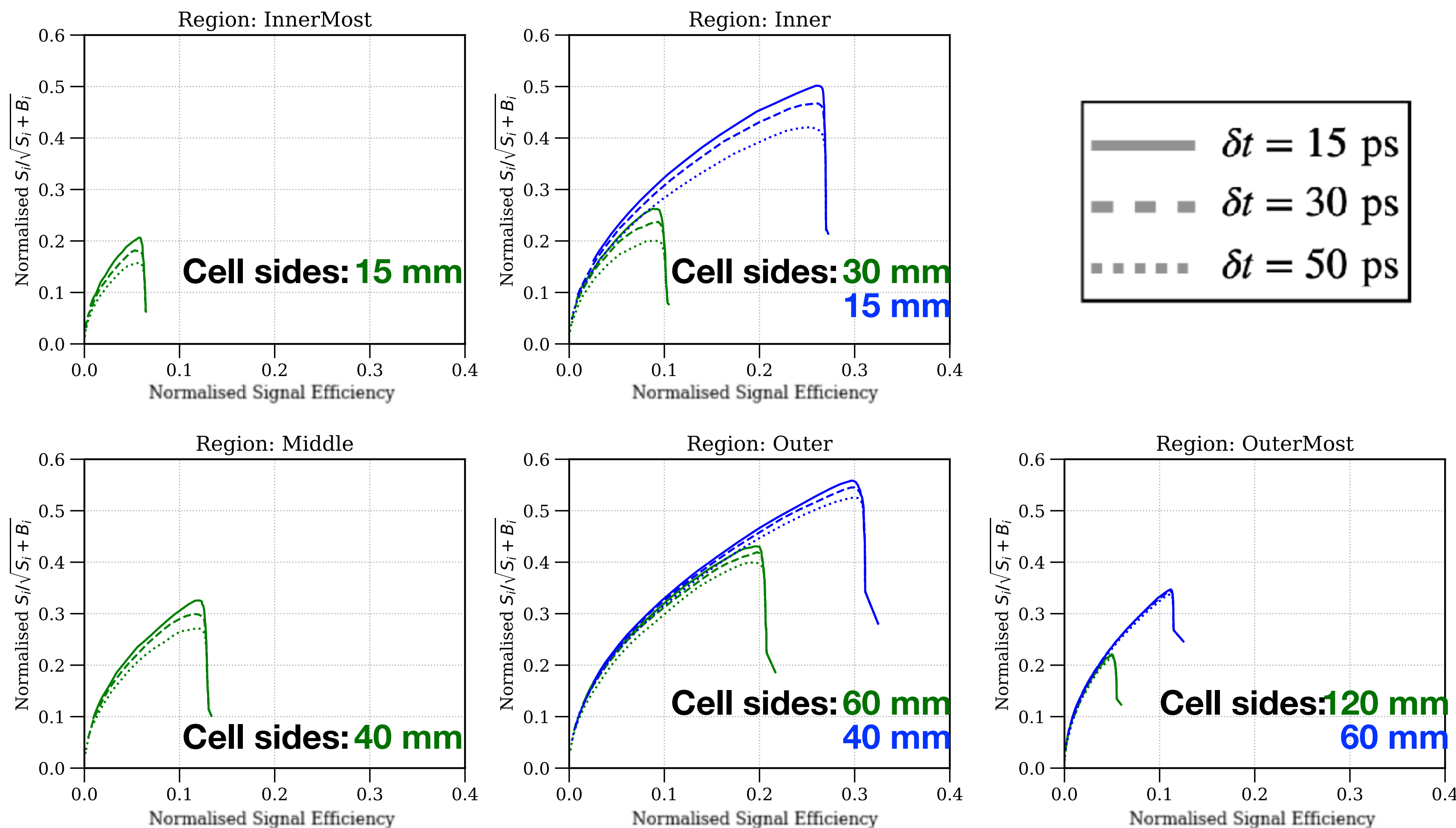
Summary and conclusions

- The $B^0 \rightarrow \pi^+ \pi^- \pi^0$ reconstruction performances are an important **benchmark for the U2 ECAL**
- The current simulation results suggest the critical need of R&D to **improve the ECAL reconstruction algorithms** in U2
- Degradation of timing performance have not a negligible impact either in outer regions
- Analysis of Dalitz region corresponding to $\rho^\pm \pi^\mp$ final state shows similar performances to the analysis involving in the total Dalitz plane
 - Requirements on Dalitz quantities reduced quite a lot the statistics.
More accurate studies with higher statistics are necessary
 - ▶ Necessary to move towards studies on more relevant observables (e.g. CPV)

Backup



Performance per region



- Eff_i and $S_i/\sqrt{S_i+B_i}$ are normalised to Run2 total
- Performance benefit from granularity increase
- The inner the region, the larger the advantage from better time res.
- Performance contribution:
 - Outer > Inner
 - InnerMost \approx OuterMost

Signal candidates with final-state γ s hitting different regions are **neglected** (~10%)

- Region 0
- Region 1
- Region 2
- Region 3
- Region 4
- Region 5

