



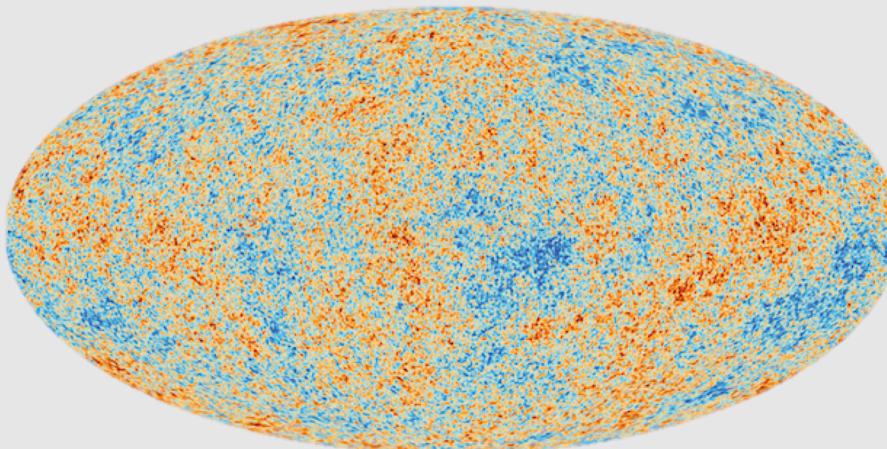
# Challenging the isotropy of the local Universe with galaxy clusters

**Konstantinos Migkas + eROSITA collaboration**

Tensions in Cosmology – Corfu, Sept 2022

# Cosmological Principle

Evidence for isotropy? Mostly Cosmic Microwave Background (CMB)



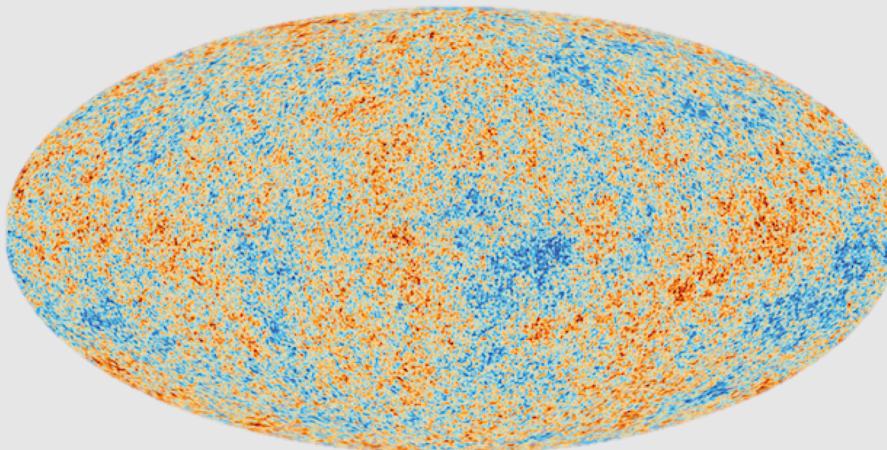
*Planck Collaboration 2013*

Defines CMB (radiation) rest frame in early Universe!

Is this the late-Universe matter rest frame..?

# Cosmological Principle

Evidence for isotropy? Mostly Cosmic Microwave Background (CMB)



*Planck Collaboration 2013*

We should test observationally!

# Galaxy Clusters

# Cosmo-dependent cluster measurements

	Luminosity	Gas mass	isophotal radius
X-ray:	$L_X \propto H_0^{-2}$	$M_{\text{gas}} \propto H_0^{-1}$	$R_{50\%} \propto H_0^{-1}$

Total gas thermal energy

Microwave:	$Y_{\text{SZ}} \propto H_0^{-2}$
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Biggest galaxy luminosity

Infrared:	$L_{\text{gal}} \propto H_0^{-2}$
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Observable + redshift → assume  $H_0$ , etc. to get distance →

**Cluster property**

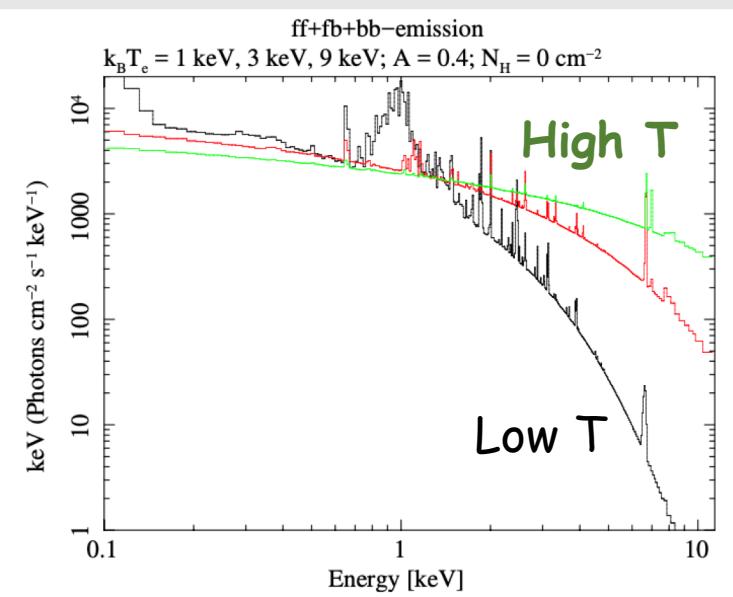
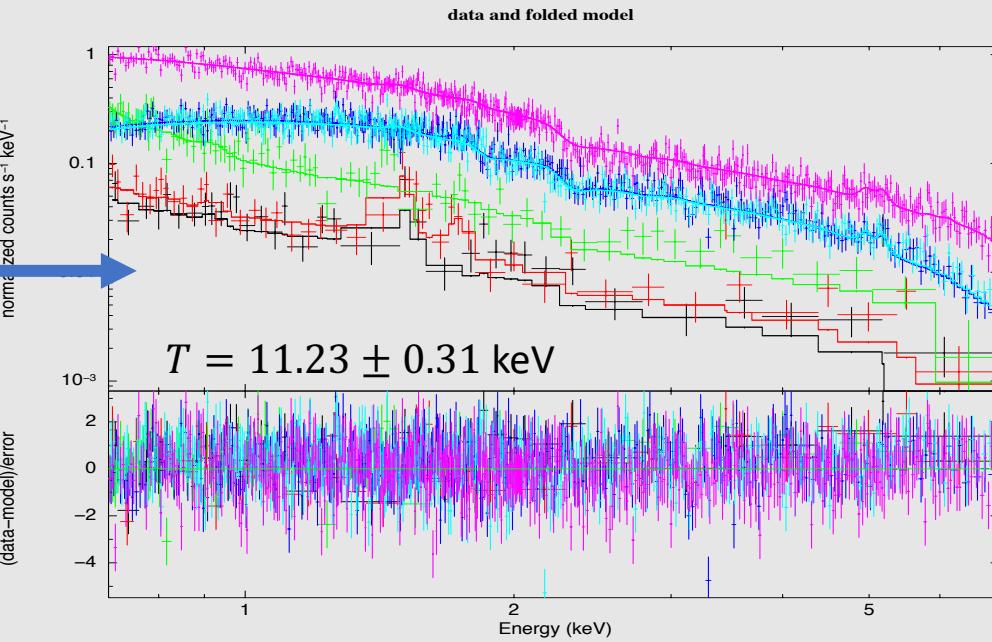
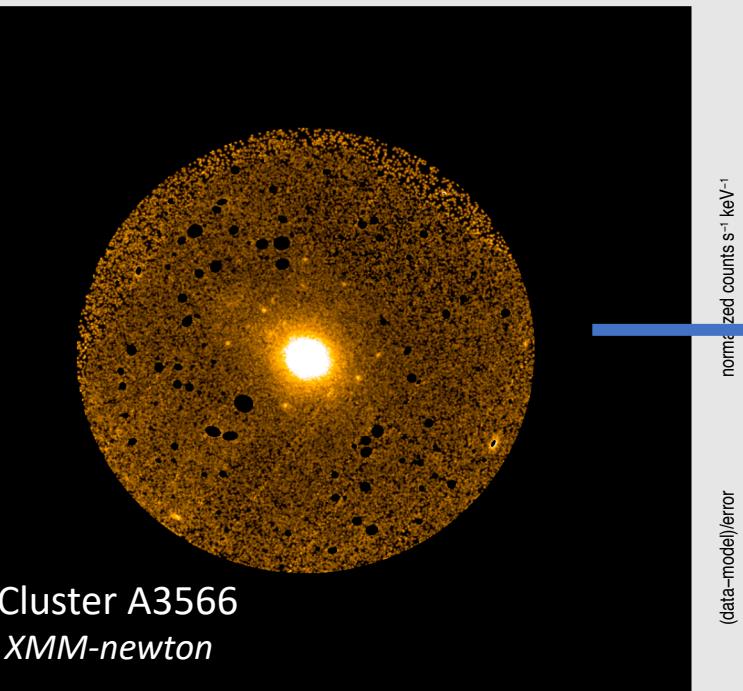
**Cosmology-dependent!**

Cluster X-ray temperature

is the key measurement

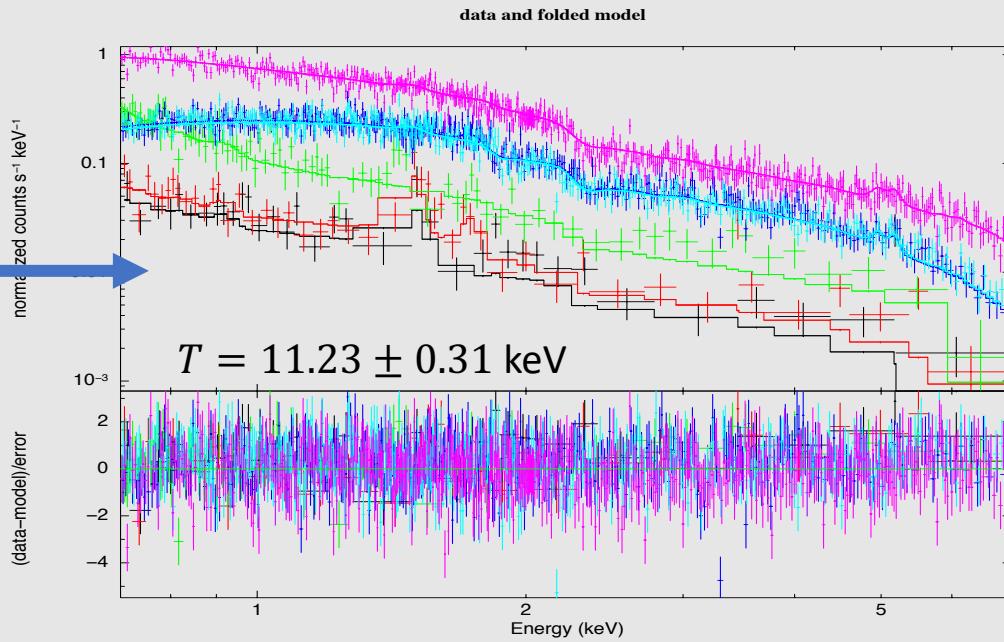
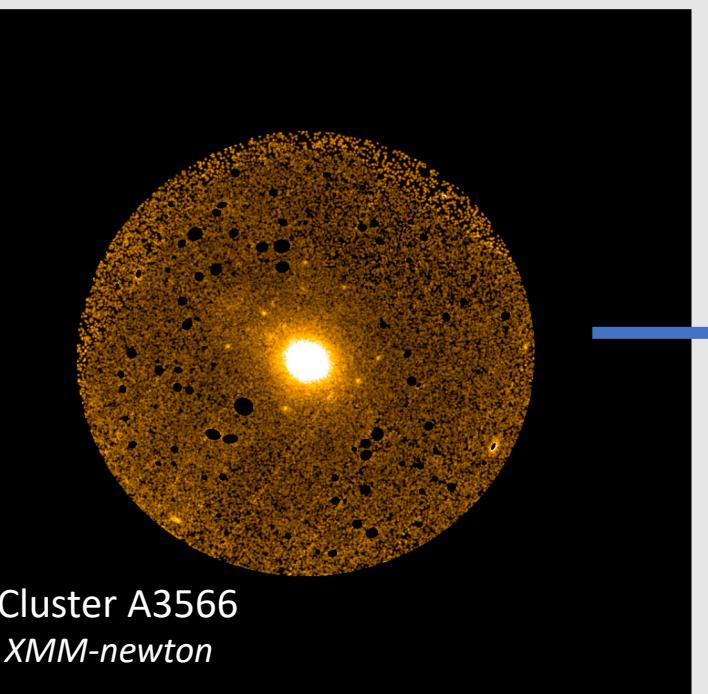
for testing cosmic isotropy!

# Galaxy clusters in X-rays



- Extract spectrum of cluster
- Measure temperature via fitted models

# Galaxy clusters in X-rays



**$T$  determination: cosmology-independent!**

# Constrain isotropy with scaling relation

$$L_X E(z)^{-1} \propto T^{B_{LT}}$$

$$Y_{\text{SZ}} E(z) \propto T^{B_{YT}}$$

$$\propto \text{distance}(H_0, z)^2$$



**Strong cosmology and  
bulk flow dependence!**

Measure  $T \rightarrow$  Predict left part  
**cosmology-independent!**

# Constrain isotropy with scaling relation

$$L_X E(z)^{-1} \propto T^{B_{LT}}$$

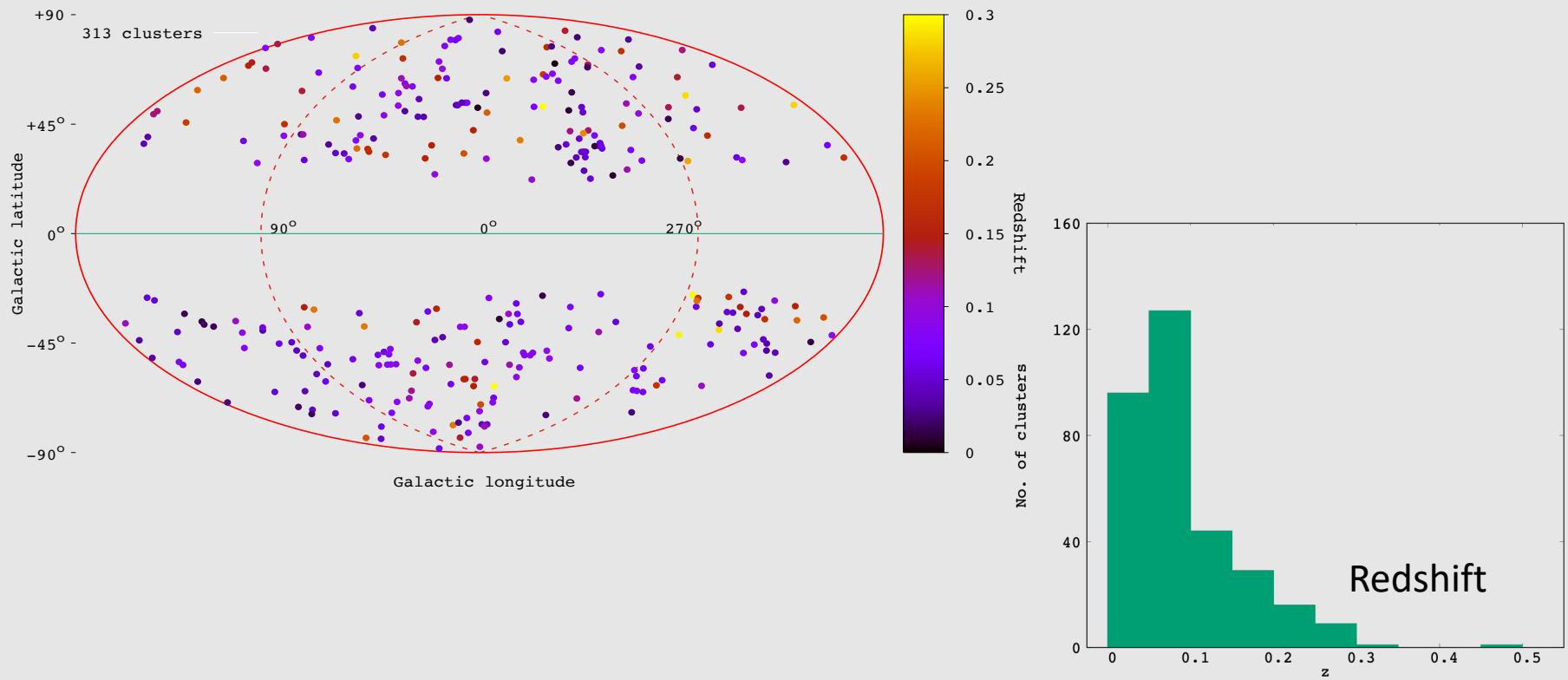
$$Y_{\text{SZ}} E(z) \propto T^{B_{YT}}$$

cosmology!

no cosmology!

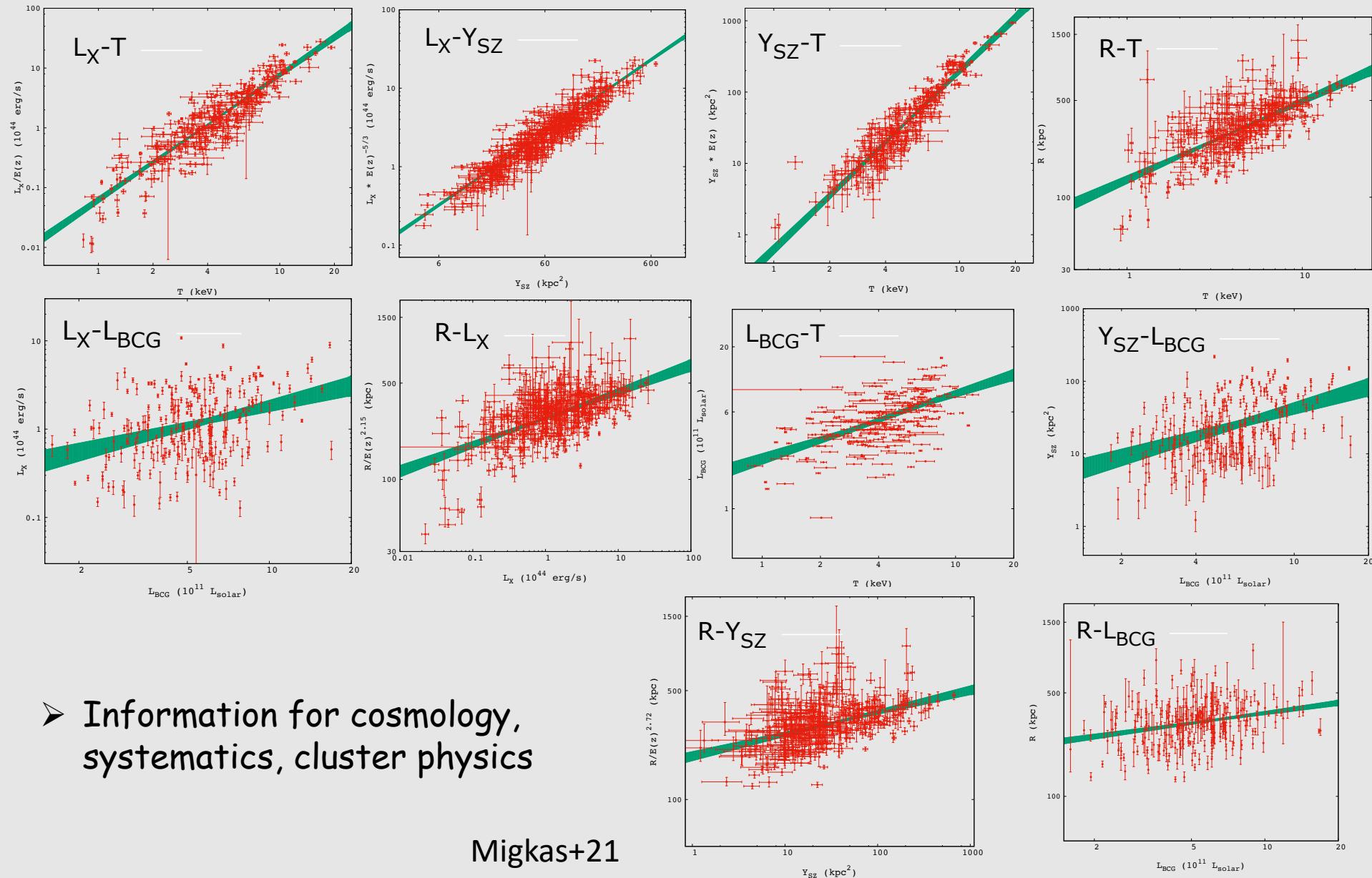
- Scan the sky with a cone, constrain relations for each cone separately → all-sky color map
- Quantify apparent  $H_0$  variation and bulk flows

# eeHIFLUGCS sample (Migkas+20;21)

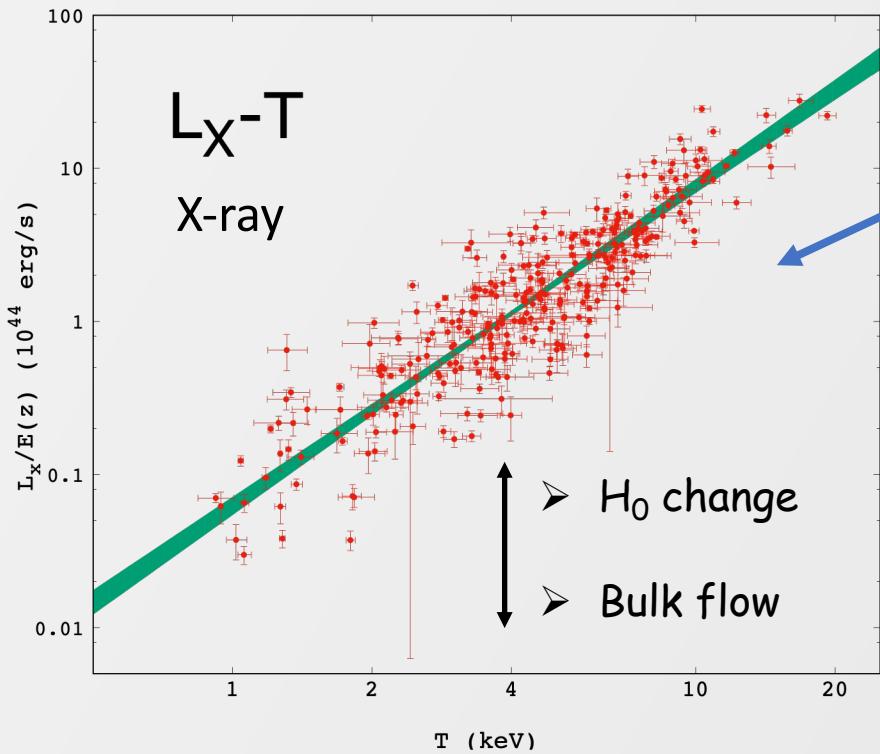


- Homogeneously selected,  $\sim 400$  brightest X-ray clusters, mostly  $z < 0.25$
- Measure X-ray  $L_x$ ,  $T$  and  $R_{50\%}$  (XMM, Chandra, Rosat)
- Measure microwave  $Y_{\text{SZ}}$  (Planck) and infrared  $L_{\text{BCG}}$  (2MASS)

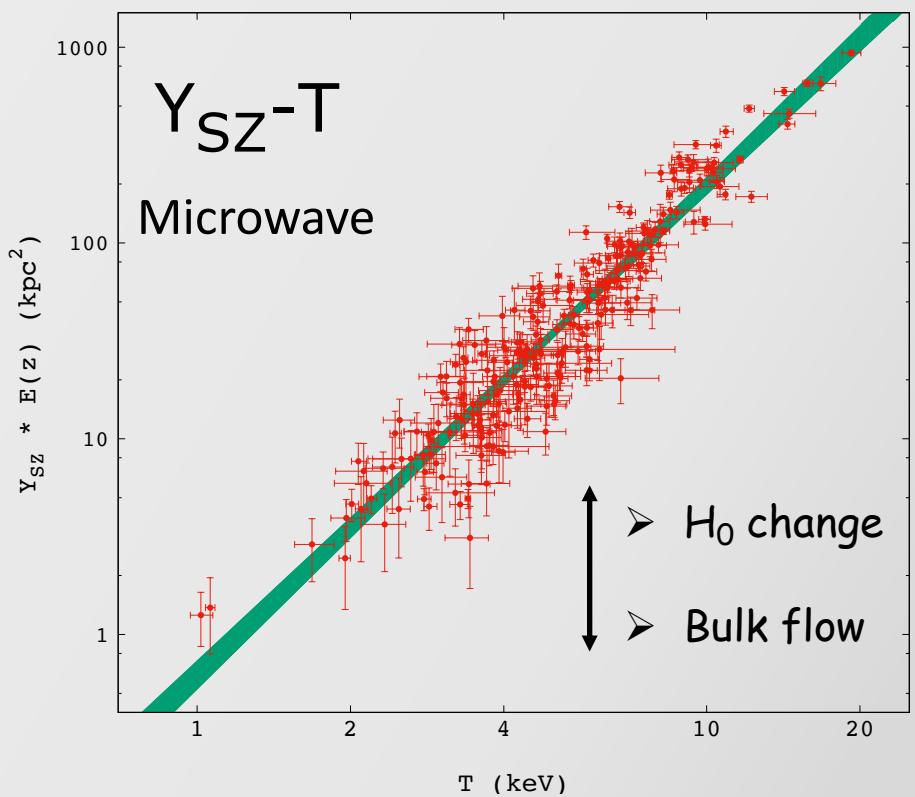
# 10 multiwavelength cluster scaling relations!



# The $L_X - T$ and $Y_{\text{SZ}} - T$ relations...

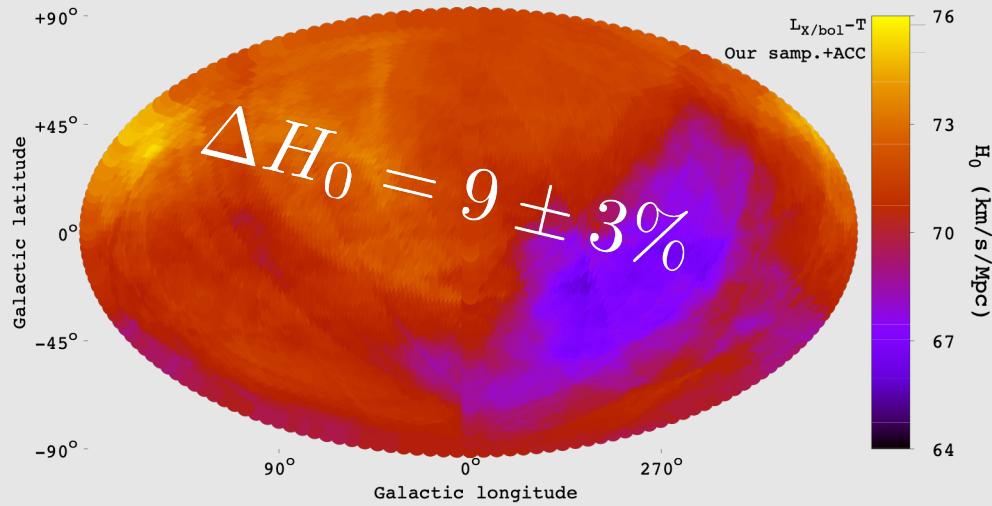


"Tully-Fisher" of clusters



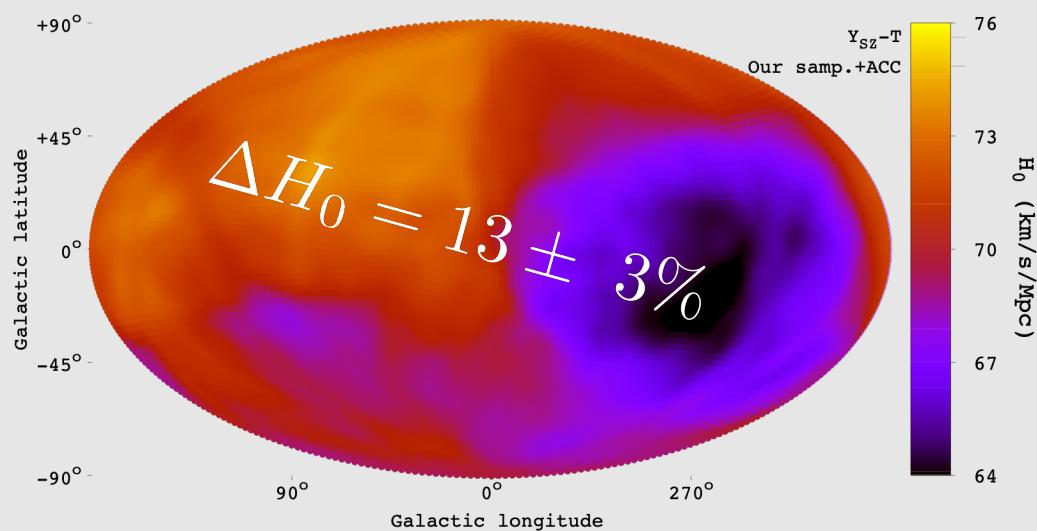
# Apparent $H_0$ variation

$L_X - T$        $3\sigma$



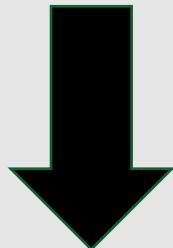
Jointly analyzing all available,  
all-sky, independent cluster  
samples at  $z < 0.3$

$Y_{\text{SZ}} - T$        $4.3\sigma$



Nearly independent  
results..! (X-ray and microwave)

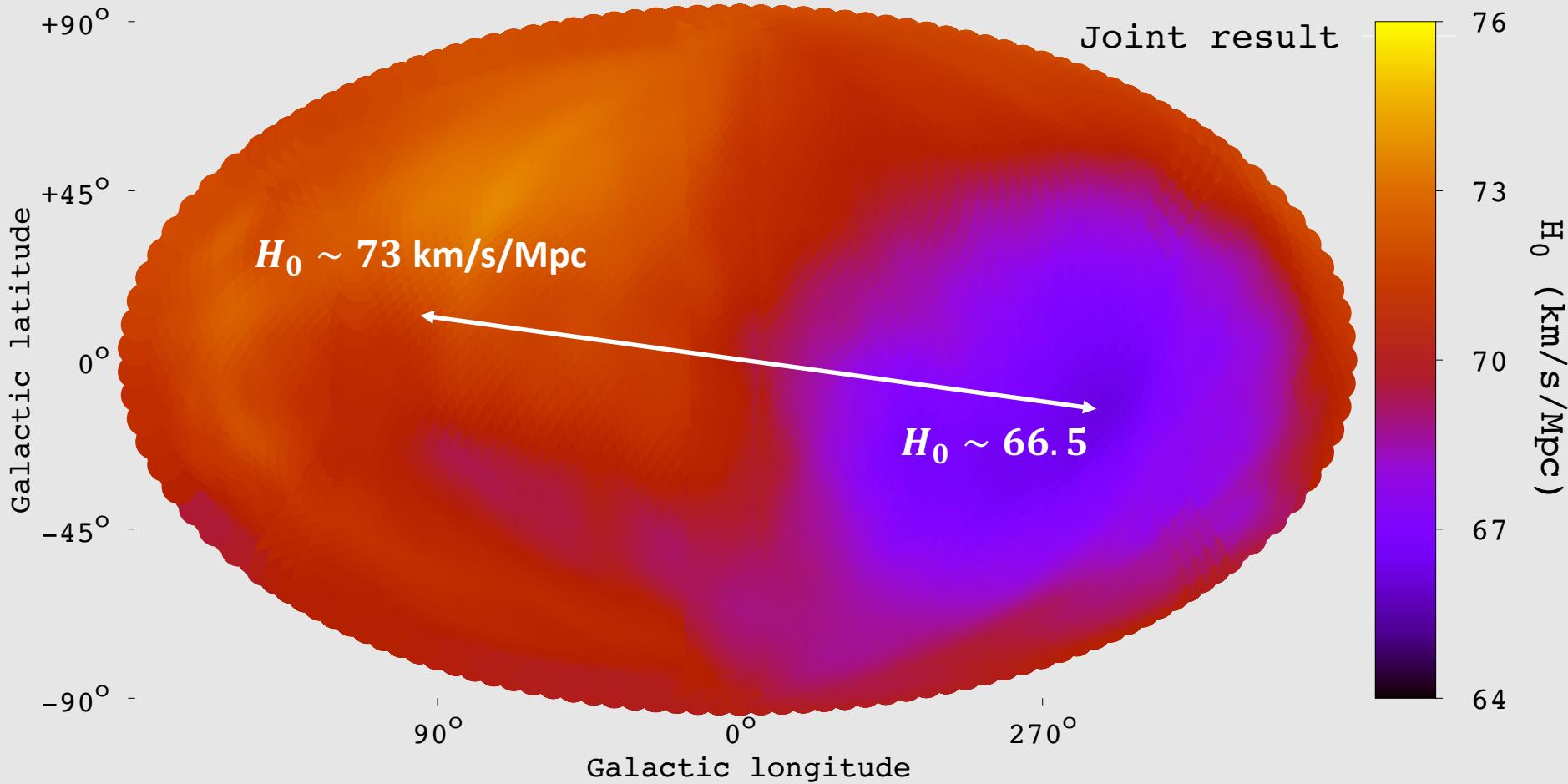
Combining all X-ray, microwave, and infrared  
cluster info with in-depth, exhaustive  
analysis...



First-ever multiwavelength  
 $H_0$  anisotropy map!

# Overall result: $5.4\sigma$ ! (from Monte Carlo)

Migkas et al. 2021, A&A, 649, A151



Most robust detection of late-Universe  
anisotropy ever!

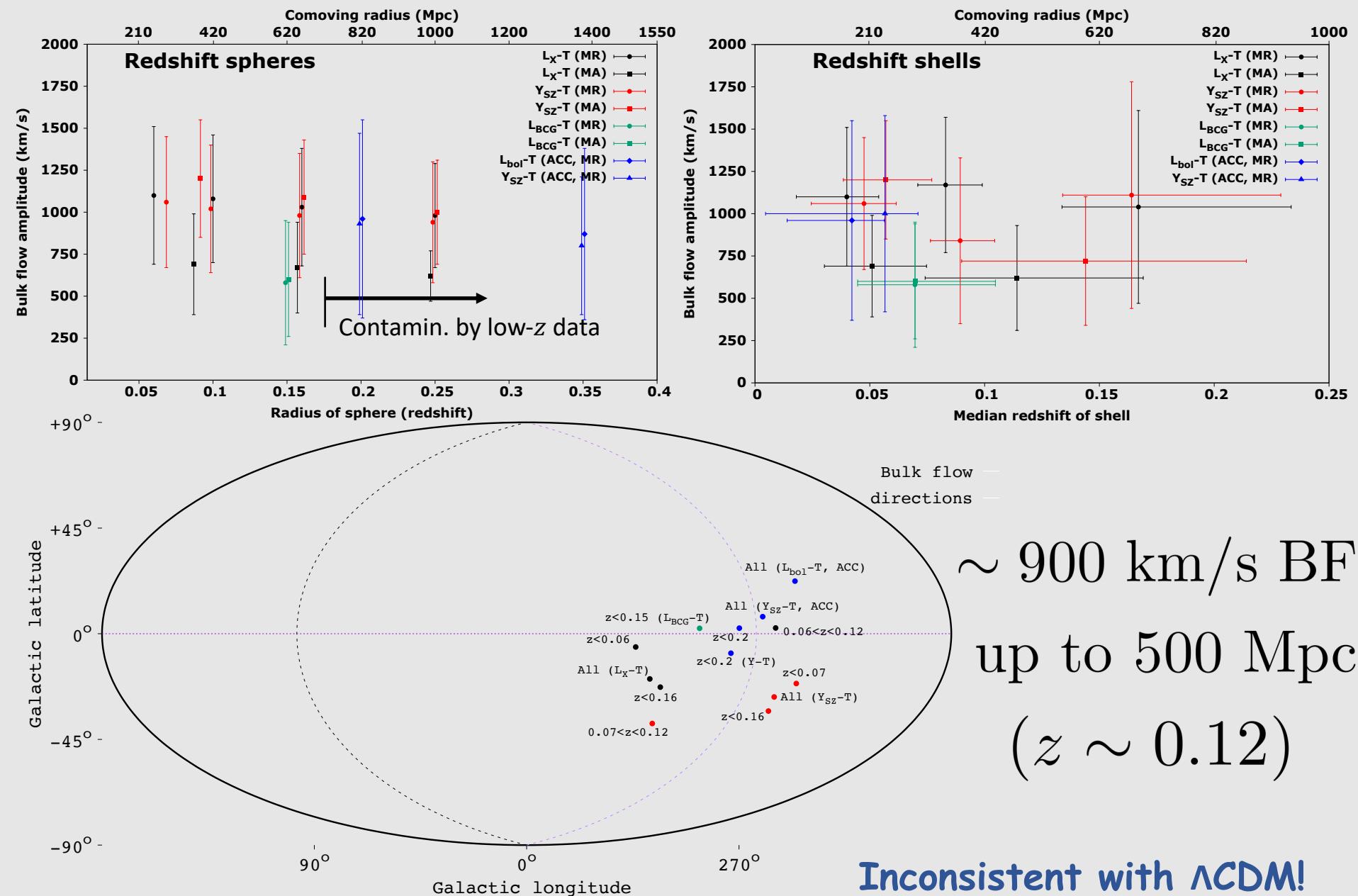
$$(l, b) = (273^\circ_{-38^\circ}, -11^\circ_{-27^\circ})^{+42^\circ}_{-27^\circ}$$

What if true  $H_0$  = isotropic?

Then, we need a large bulk flow...

First-ever bulk flow constraints  
from cluster scaling relation..!

# Cluster bulk flows



# Numerous tested systematics

- Cluster morphology effects
- Malmquist bias
- Zone of Avoidance bias
- Different selection cuts
- Scatter correlation of  $L_X, Y_{\text{SZ}}$
- MCMC for any cluster properties correlation
- X-ray temperature calibration
- Redshift evolution
- Several other tests



No explanation for  
the anisotropies!

# Finally, eROSITA...!



*Credit: MPE, Garching*

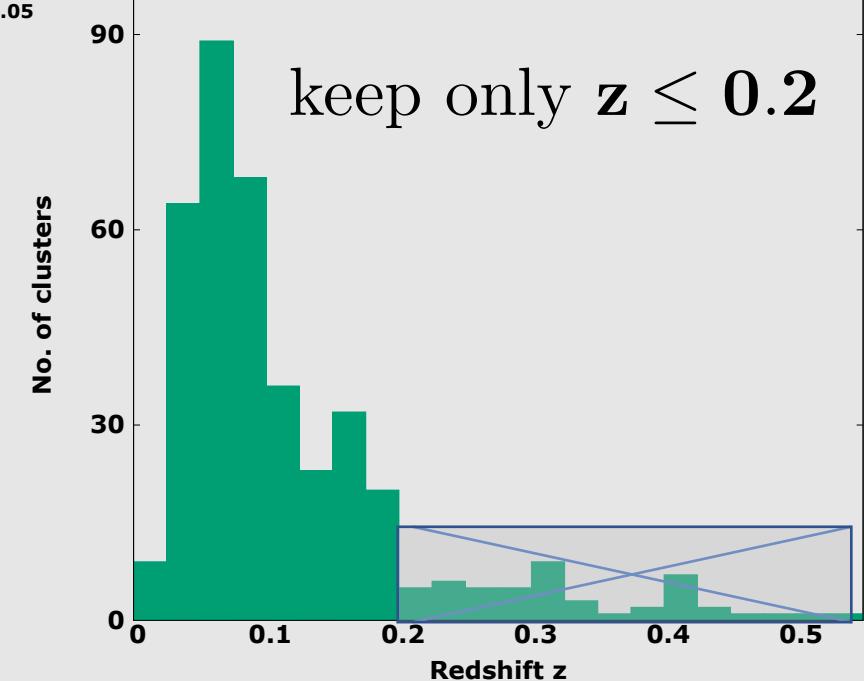
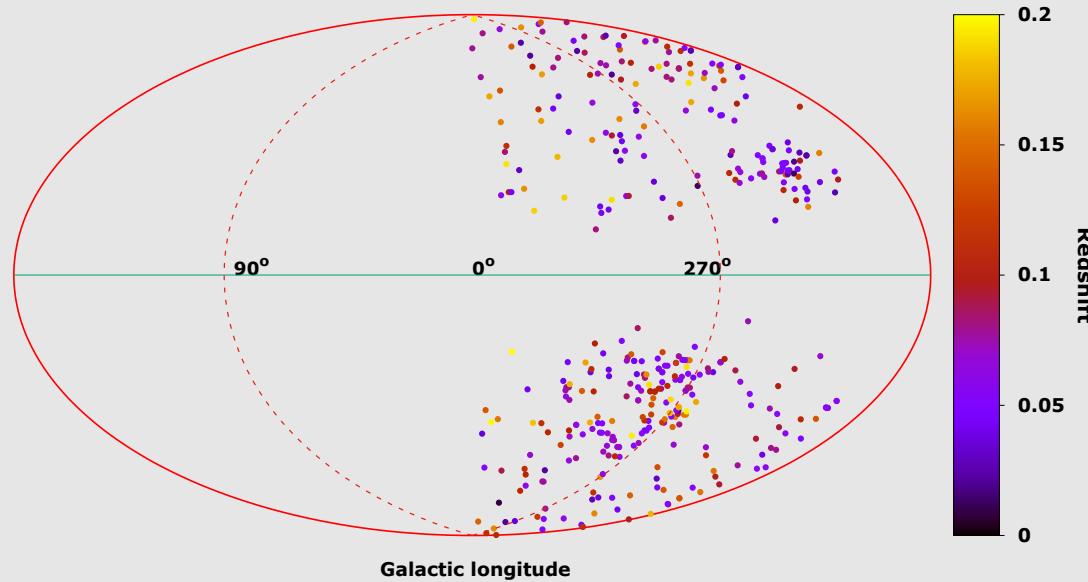
- First X-ray all-sky survey in 30 years
- $\sim 10^4$  of new galaxy clusters eventually!
- One sky half for Germany, one for Russia
- eRASS1 data (1/8<sup>th</sup> of final data) fully available

Merloni+12, Predehl+21

First-ever results on isotropy  
from eROSITA...

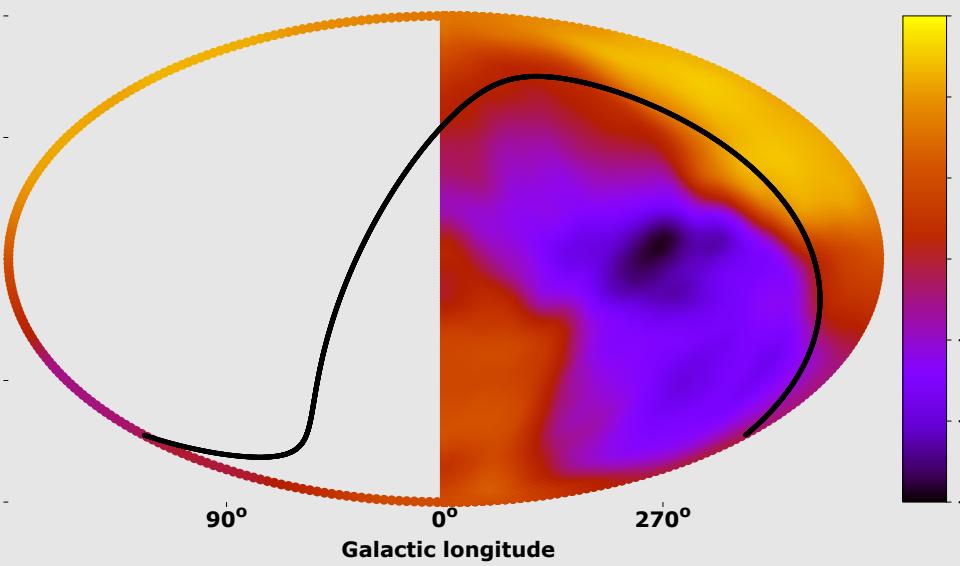
# eROSITA

- 341 clusters at  $z < 0.2$  with spec-z and reliable T



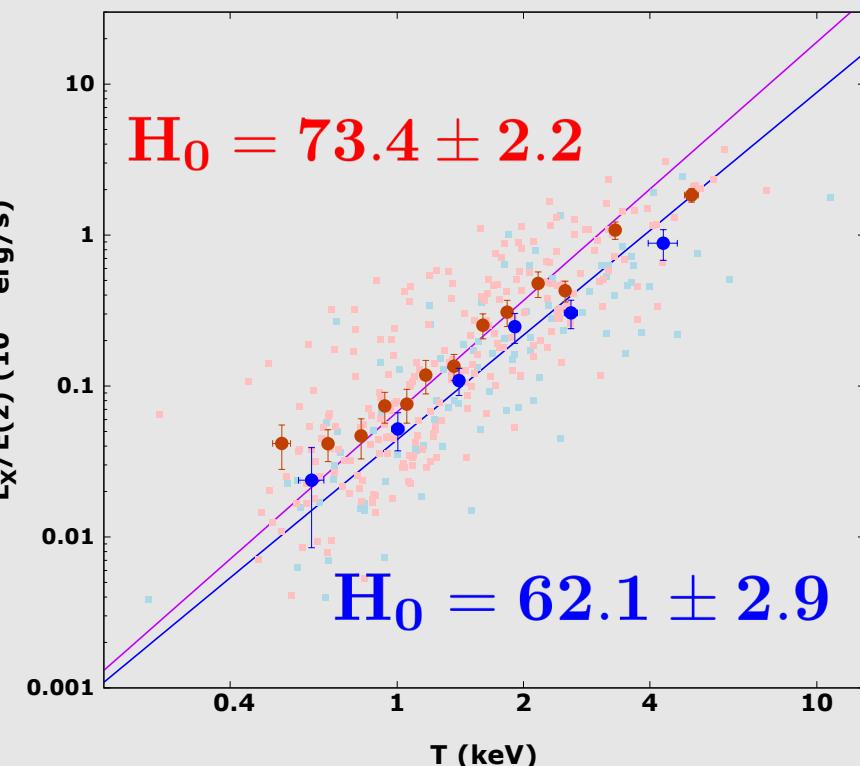
# eROSITA: $L_x - T$ + $M_{\text{gas}} - T$

- Same anisotropy direction as in eeHIFLUGCS at  $z < 0.2$ !
- Slightly stronger variation ( $16.1 \pm 6.4\%$  instead of  $9.0 \pm 1.7\%$ )



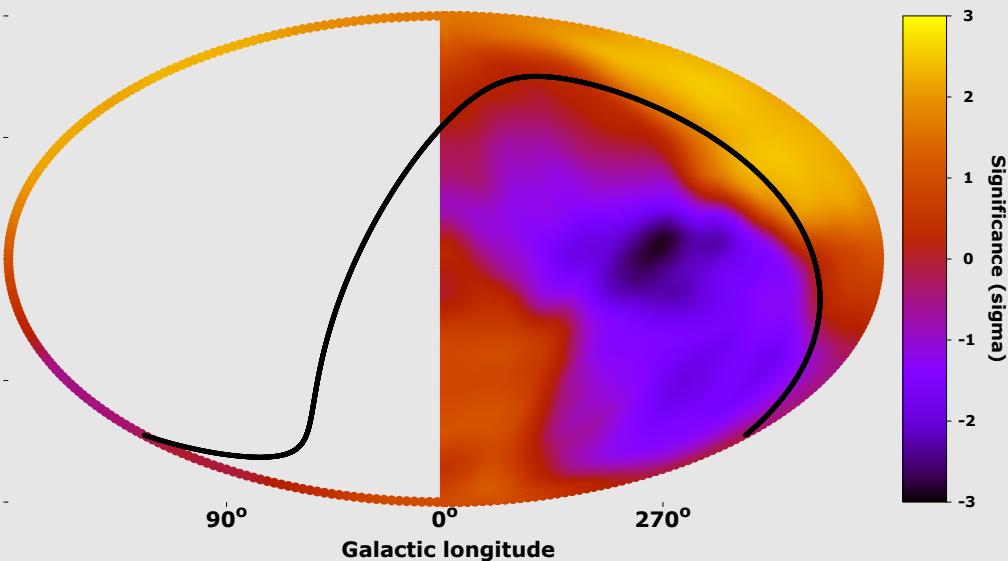
$3.1\sigma$

$$(l, b) \sim (274^\circ, +6^\circ)$$



# eROSITA: $L_X$ -T + $M_{\text{gas}}$ -T

- Same anisotropy direction as in eeHIFLUGCS at  $z < 0.2$ !
- Slightly stronger variation ( $16.1 \pm 6.4\%$  instead of  $9.0 \pm 1.7\%$ )



Or, similar bulk flow  
as before!

$3.1\sigma$

$(l, b) \sim (274^\circ, +6^\circ)$

$970 \pm 310 \text{ km/s}$

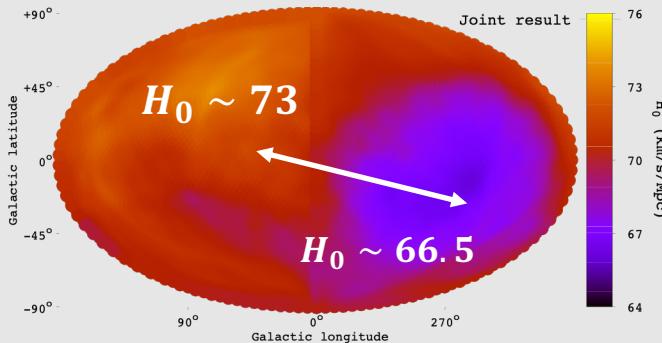
up to  $z < 0.15..!$

# Take-home message

The cluster anisotropies are there at  $z < 0.2 \dots$

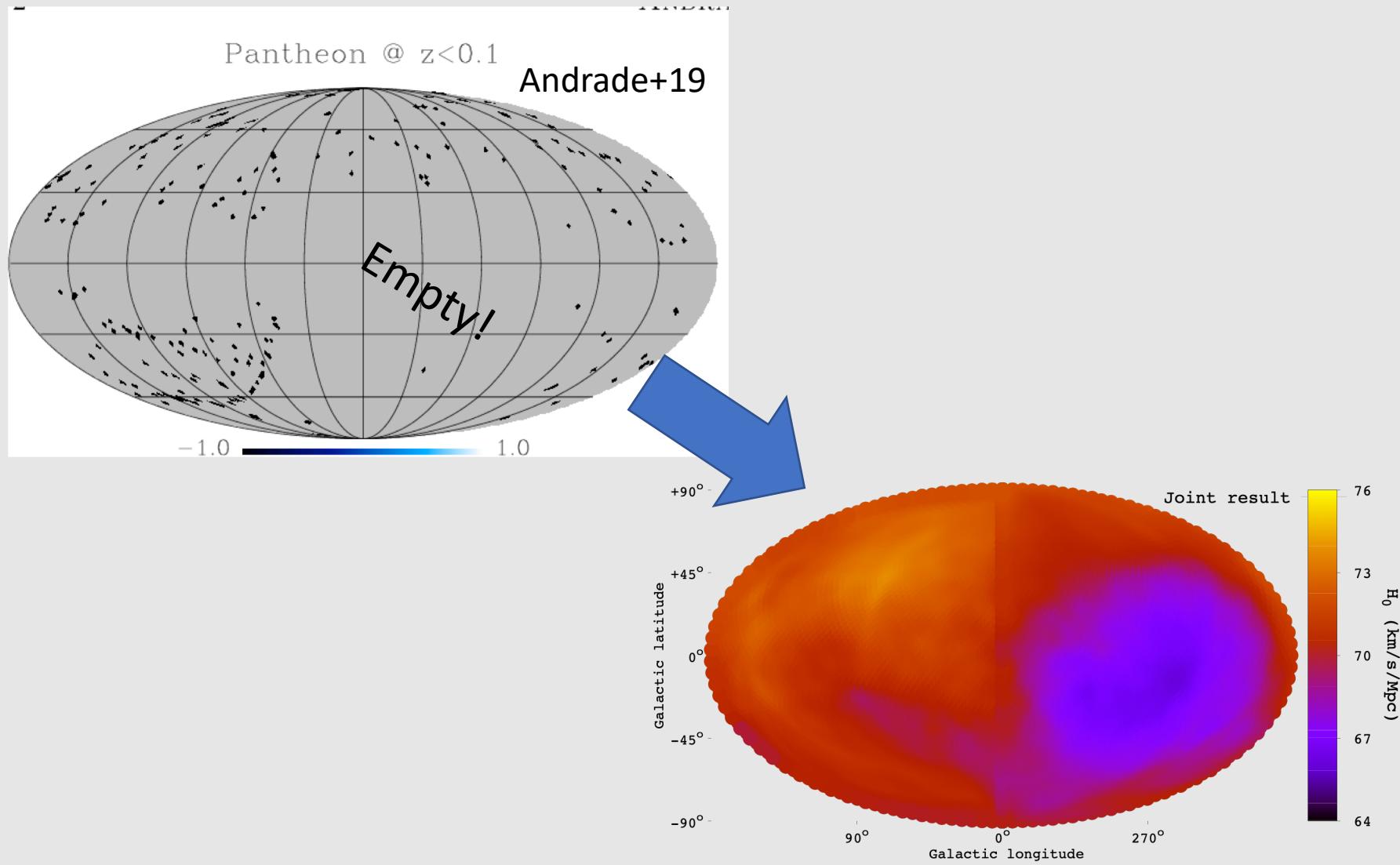
- A completely unknown new systematic affecting all cluster samples and multiwavelength relations...?
- ... or is the local Universe more complicated than we thought up to now, with huge implications for low- $z$  cosmology...?

Thank you!



Back up slides

# Non-uniform SNIa sky distribution



# Publications about this project

➤ Migkas et al. 2020, A&A, 636, A15

A&A 636, A15 (2020)  
<https://doi.org/10.1051/0004-6361/201936602>  
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**Probing cosmic isotropy with a new X-ray galaxy cluster sample  
through the  $L_X-T$  scaling relation**

K. Migkas<sup>1</sup>, G. Schellenberger<sup>2</sup>, T. H. Reiprich<sup>1</sup>, F. Pacaud<sup>1</sup>, M. E. Ramos-Ceja<sup>1</sup>, and L. Lovisari<sup>2</sup>

+ Work in progress

➤ Migkas et al. 2021, A&A, 649, A151

A&A 649, A151 (2021)  
<https://doi.org/10.1051/0004-6361/202140296>  
© ESO 2021



**Cosmological implications of the anisotropy of ten galaxy cluster  
scaling relations**

K. Migkas<sup>1</sup>, F. Pacaud<sup>1</sup>, G. Schellenberger<sup>2</sup>, J. Erler<sup>1,3</sup>, N. T. Nguyen-Dang<sup>4</sup>, T. H. Reiprich<sup>1</sup>,  
M. E. Ramos-Ceja<sup>5</sup>, and L. Lovisari<sup>2,6</sup>

# Other late-Universe probes also point to a dipole anisotropy (eg Secrest+22, Singal+21, etc)



The evidence to be reviewed here is that the dipole anisotropy in the distribution of objects at distances comparable to the Hubble length is about in the direction expected from the kinematic effect if the dipole anisotropy in the CMB is due to our motion relative to the rest frame defined by the mean mass distribution, but the dipole amplitude is at least twice the prediction. This anomaly is about as well established as the Hubble Tension, yet the literature on the kinematic effect is much smaller than the 344 papers with the phrase “Hubble Tension” in the abstract in the SAO/NASA Astrophysics Data System. (I expect the difference is an inevitable consequence of the way we behave.) To illustrate this difference I offer my attempt at

Peebles (2022)