

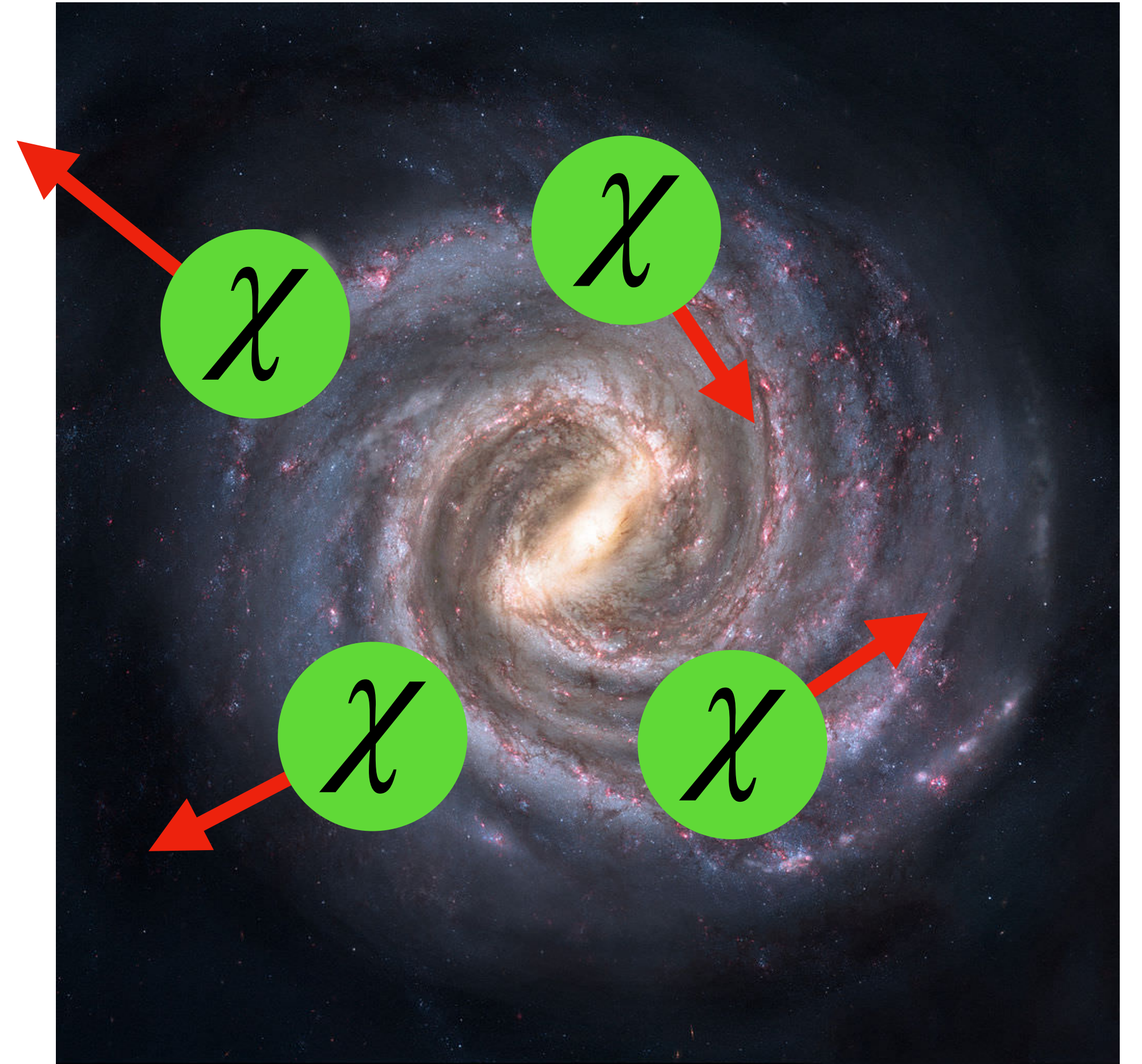
Boosting Asymmetric Charged DM via Thermalization

Zamir Heller-Algazi
Tel-Aviv University
with Michael Geller (TAU)

[2210.03126]

Motivation

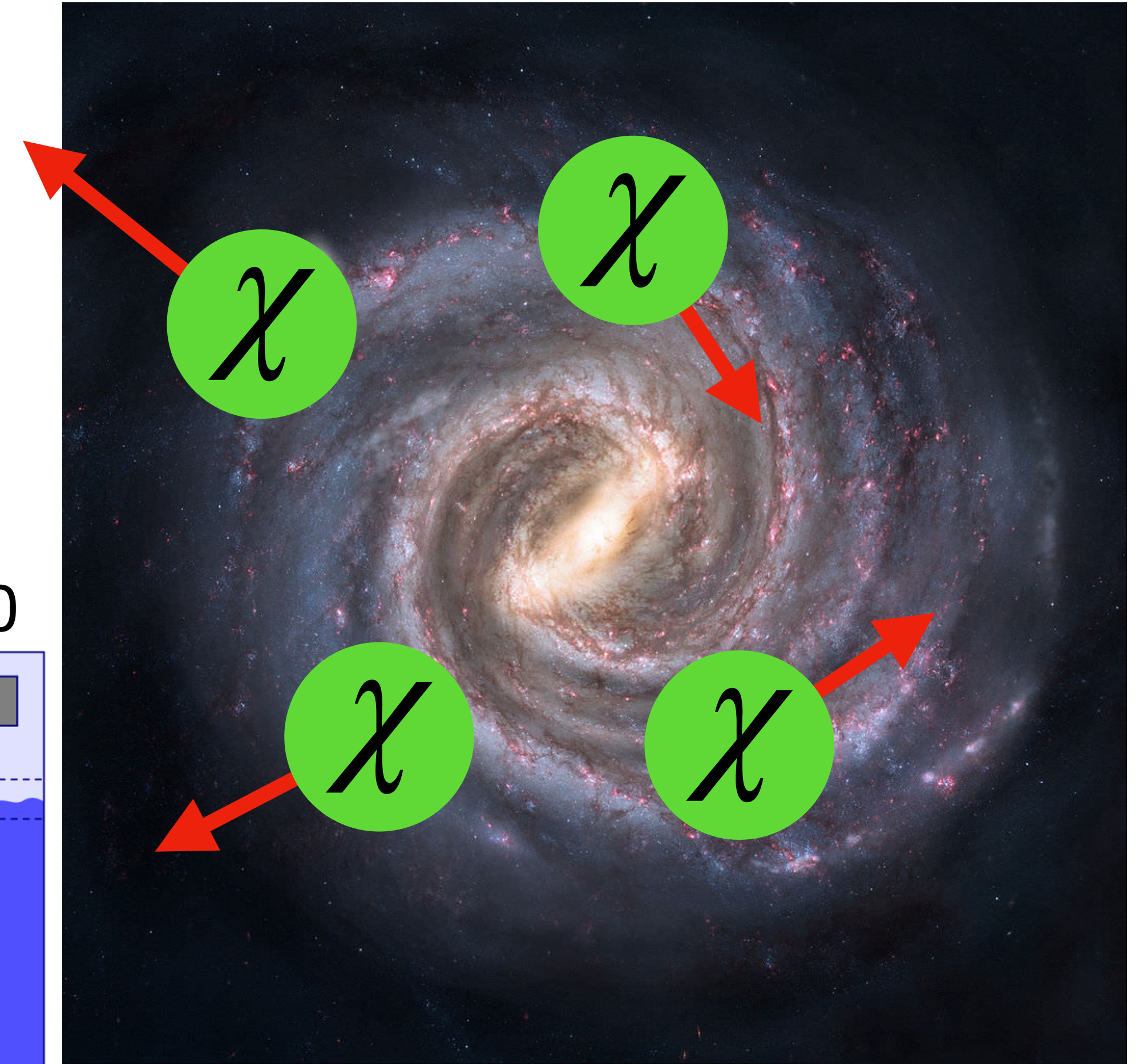
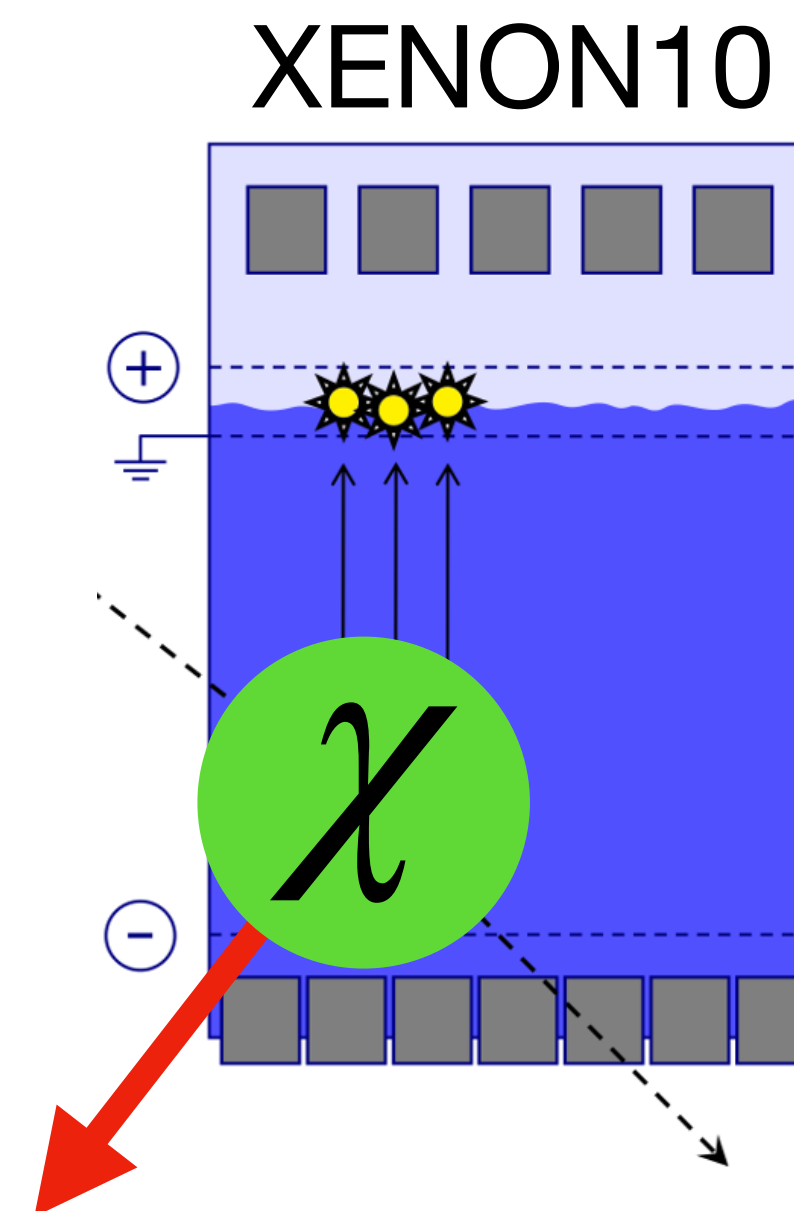
The DM velocity distribution — taken as a truncated Maxwellian distribution, with DM escape velocity $v_{\text{esc}} \sim 10^{-3}c$



Motivation

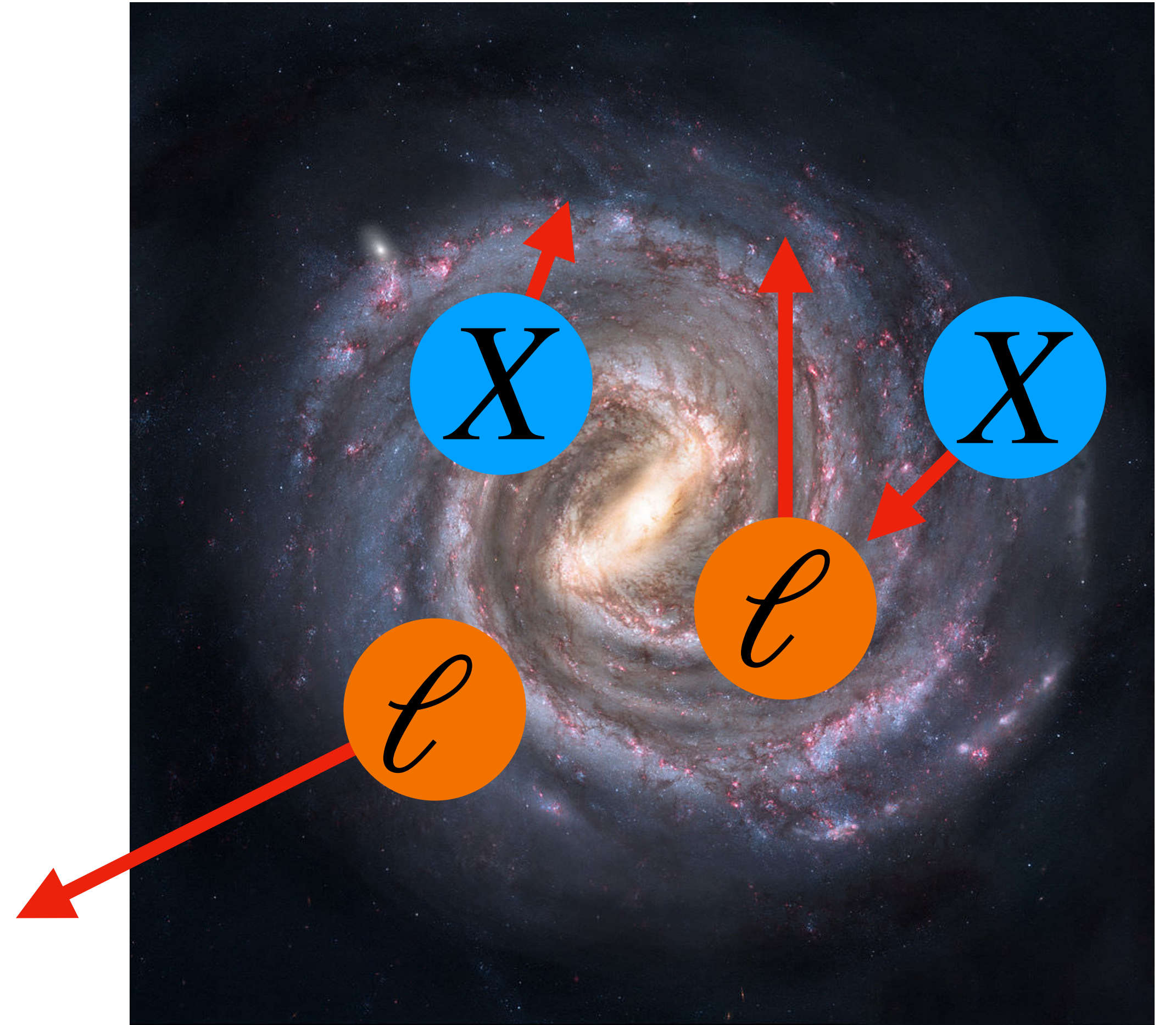
The DM velocity distribution — taken as a truncated Maxwellian distribution, with DM escape velocity $v_{\text{esc}} \sim 10^{-3}c$

Direct-detection experiments are limited by the v_{esc} , preventing lighter DM to pass the detection threshold. **Lighter DM masses are difficult to probe!**



Our Idea

$U(1)_D$ Dark Sector



Our Idea

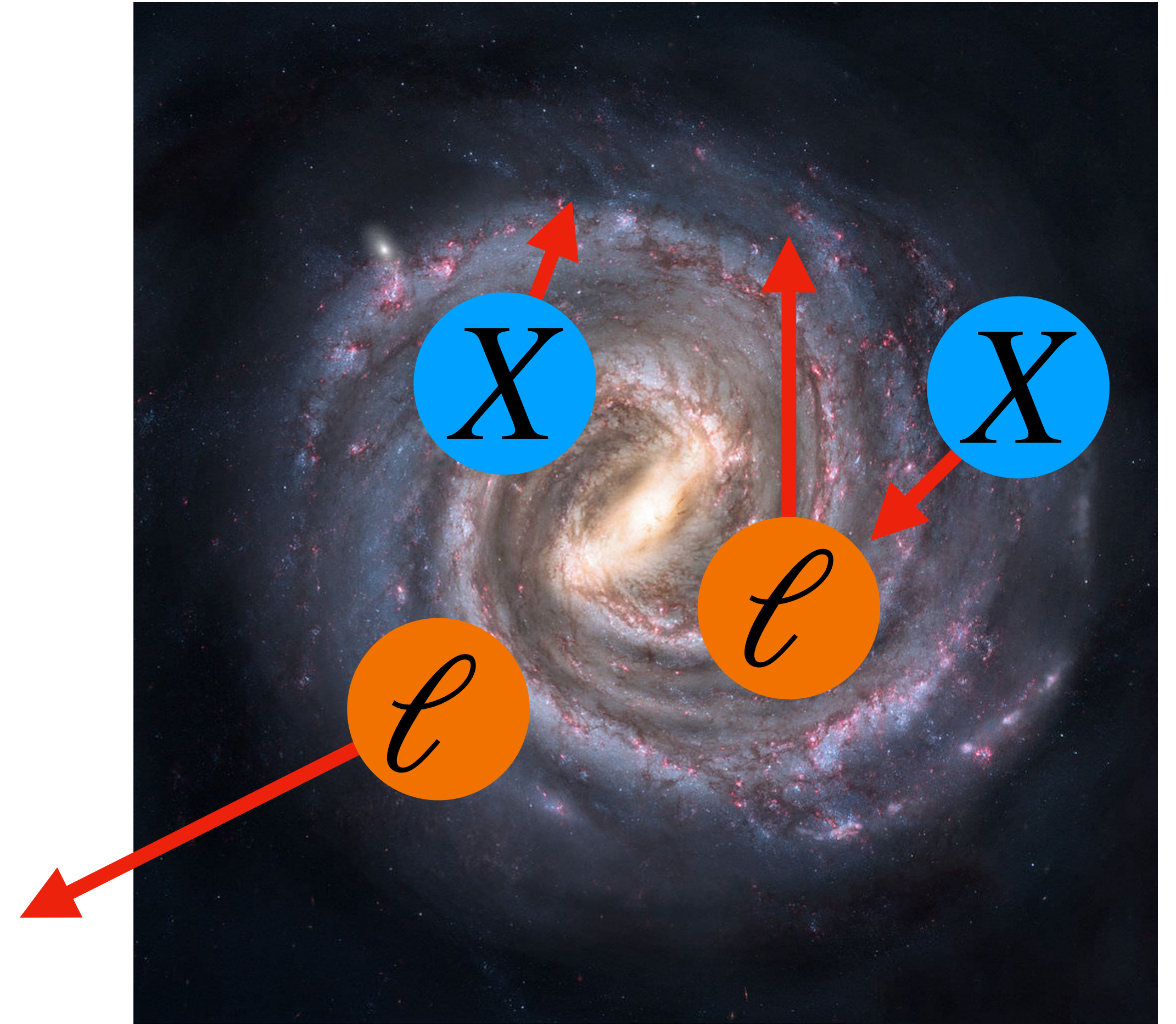
$U(1)_D$ Dark Sector

heavy
 $q' = +1$

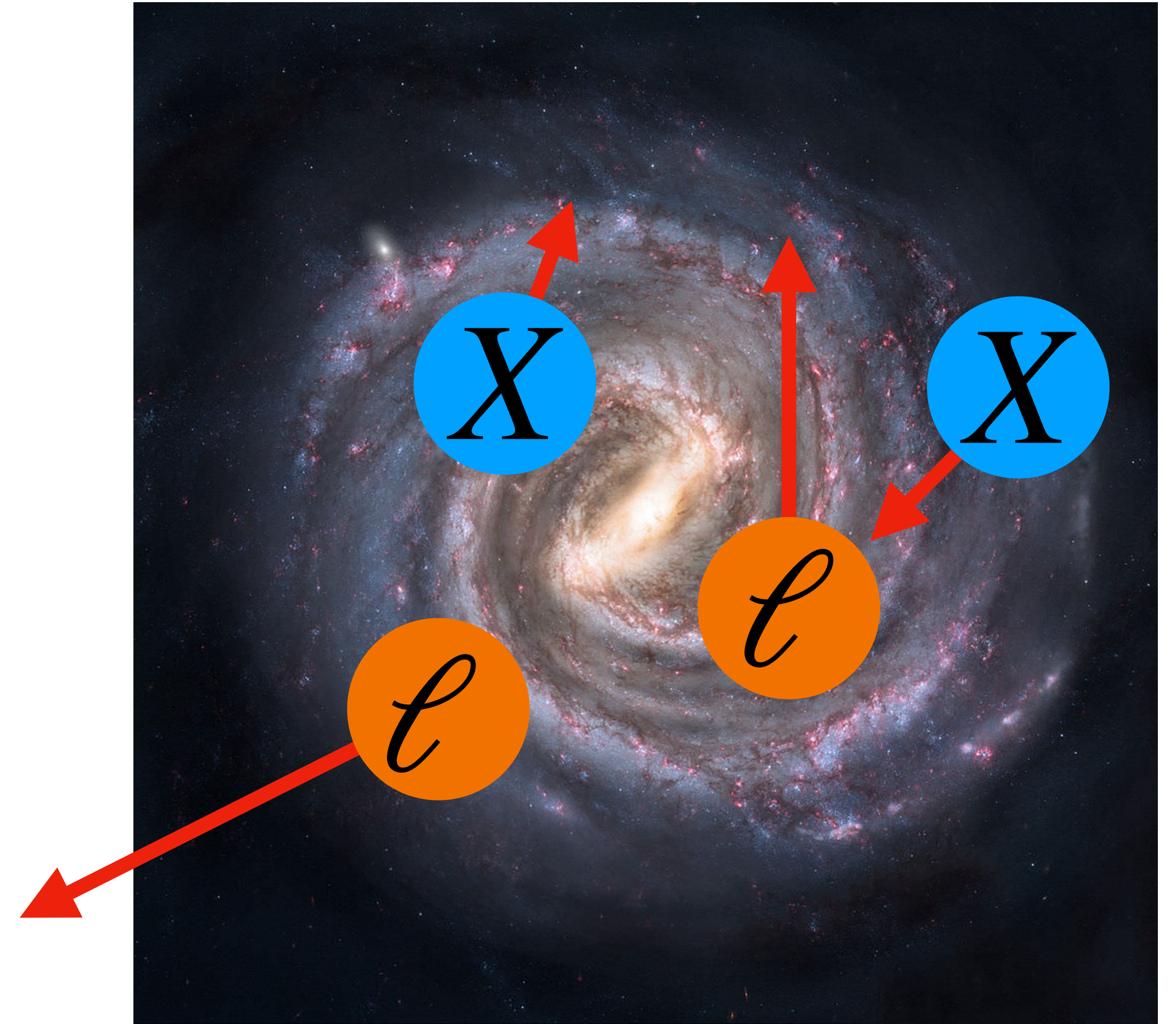
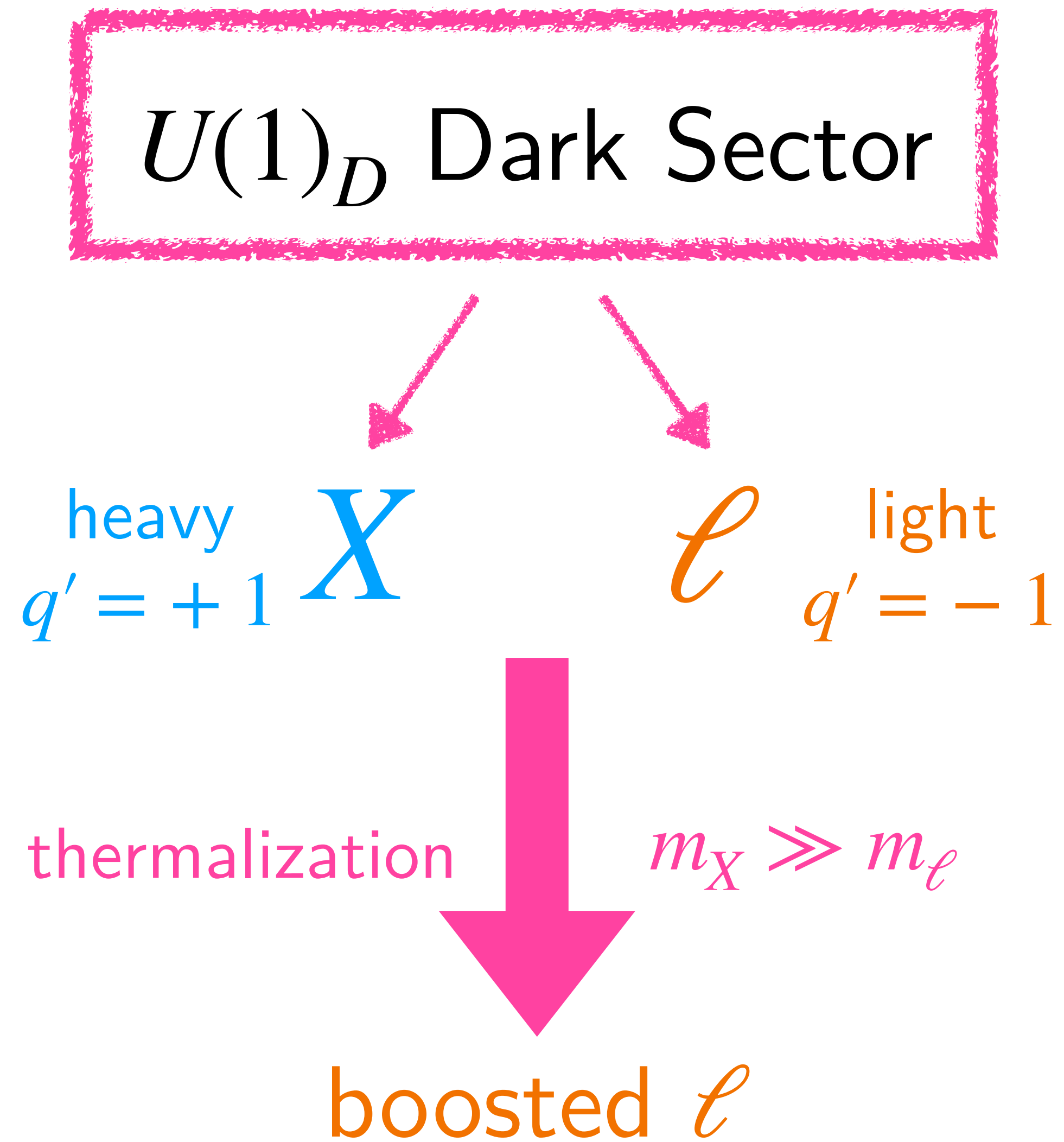
X

ℓ

light
 $q' = -1$

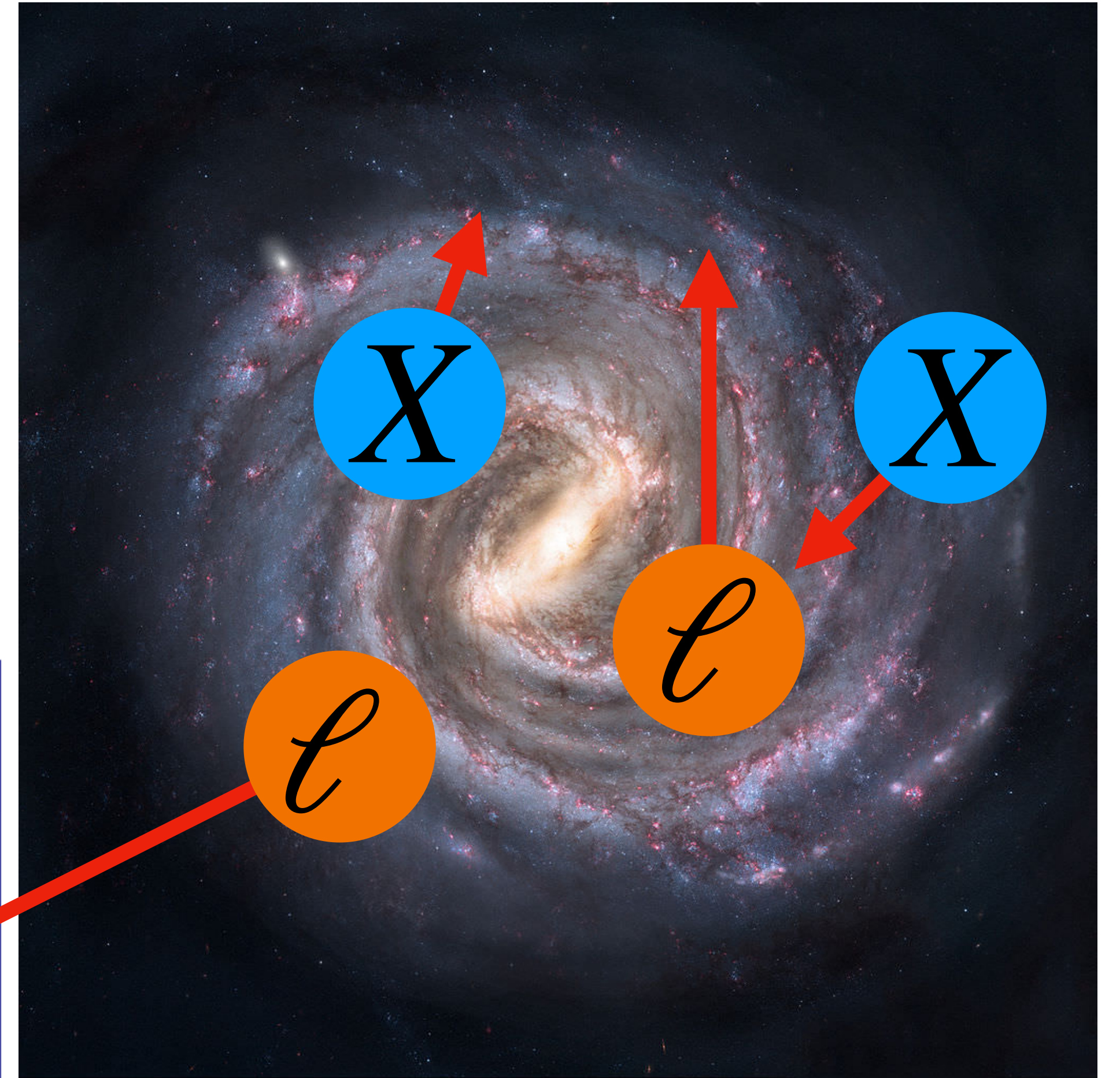
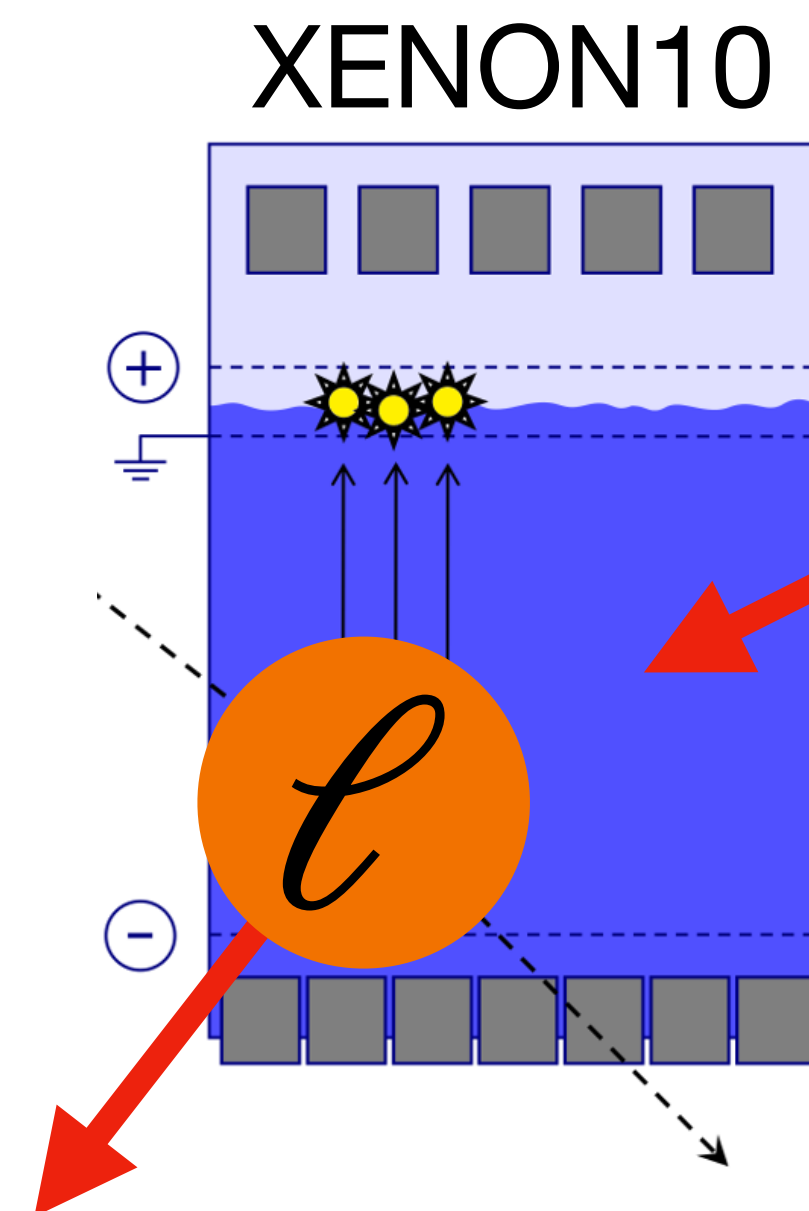


Our Idea



Our Idea

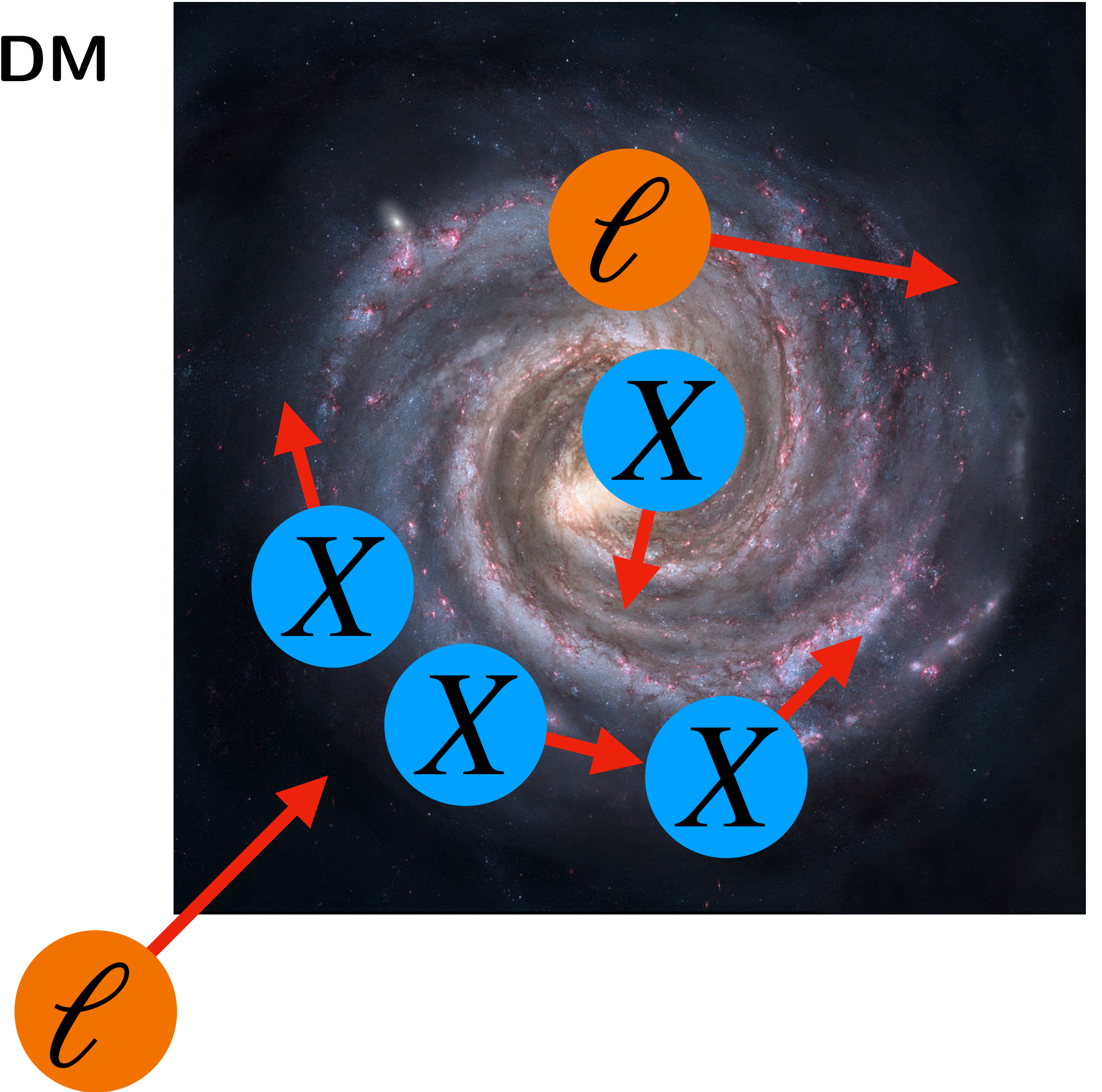
boosted $\ell \implies$ detectable at low DM masses (sub-MeV)



Our Idea

boosted $\ell \implies$ detectable at low DM masses (sub-MeV)

charged $\ell \implies$ cannot escape the galaxy



Setup

$U(1)_D$ Dark Sector

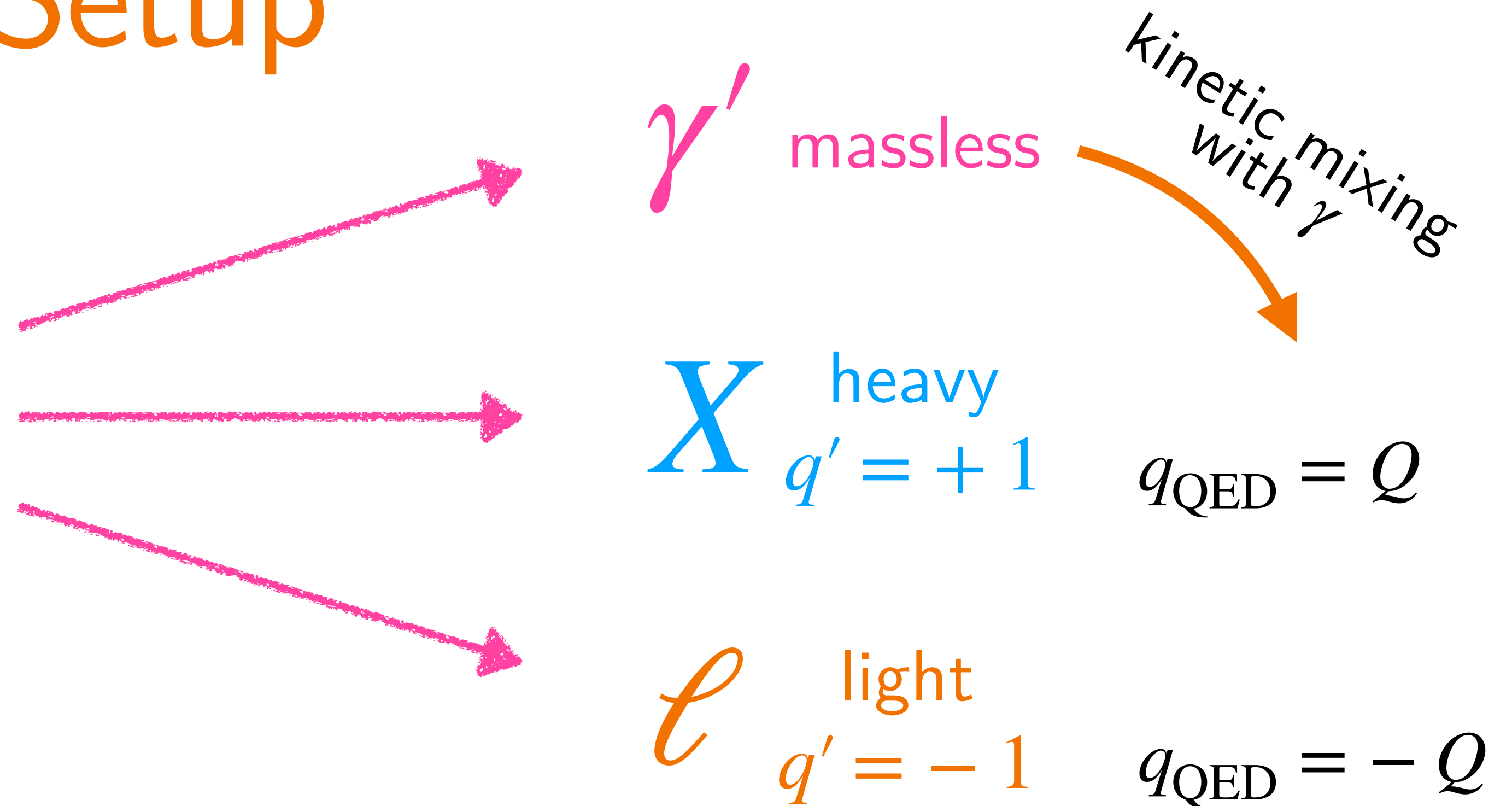
γ' massless

X heavy
 $q' = +1$

ℓ light
 $q' = -1$

Setup

$U(1)_D$ Dark Sector



Setup

$U(1)_D$ Dark Sector

γ'

massless

kinetic mixing
with γ

X

heavy

$q' = +1$

$q_{\text{QED}} = Q$

ℓ

light

$q' = -1$

$q_{\text{QED}} = -Q$

$$\alpha_D = \alpha_{\text{QED}}$$

Asymmetric DM:
no \bar{X} and $\bar{\ell}$

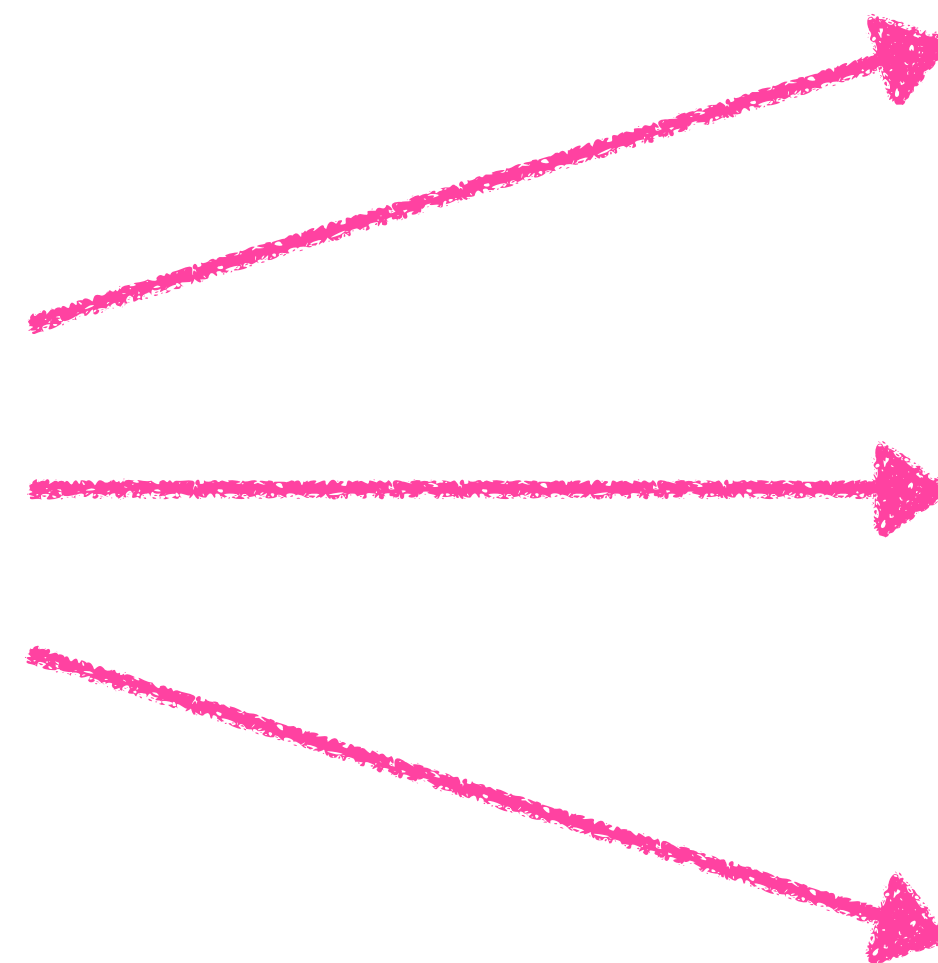
Setup

$U(1)_D$ Dark Sector

$$\alpha_D = \alpha_{\text{QED}}$$

Asymmetric DM:
no \bar{X} and $\bar{\ell}$

Makes up **5% of DM**



γ'

massless

kinetic mixing
with γ

X

heavy

$$q' = +1$$

$$q_{\text{QED}} = Q$$

ℓ

light

$$q' = -1$$

$$q_{\text{QED}} = -Q$$

the rest of DM


neutral CDM χ

Galactic MCP Distribution

We treat the X and ℓ plasmas as ideal gases in thermal and hydrostatic equilibria.

Hydrostatic equilibrium:

$$\frac{d}{dr} (P_X + P_\ell) = - \rho_{\text{MCP}} \nabla \Phi$$

 CDM potential

Ideal gas law:

$$P_i = \rho_i \theta_i$$

Galactic MCP Distribution

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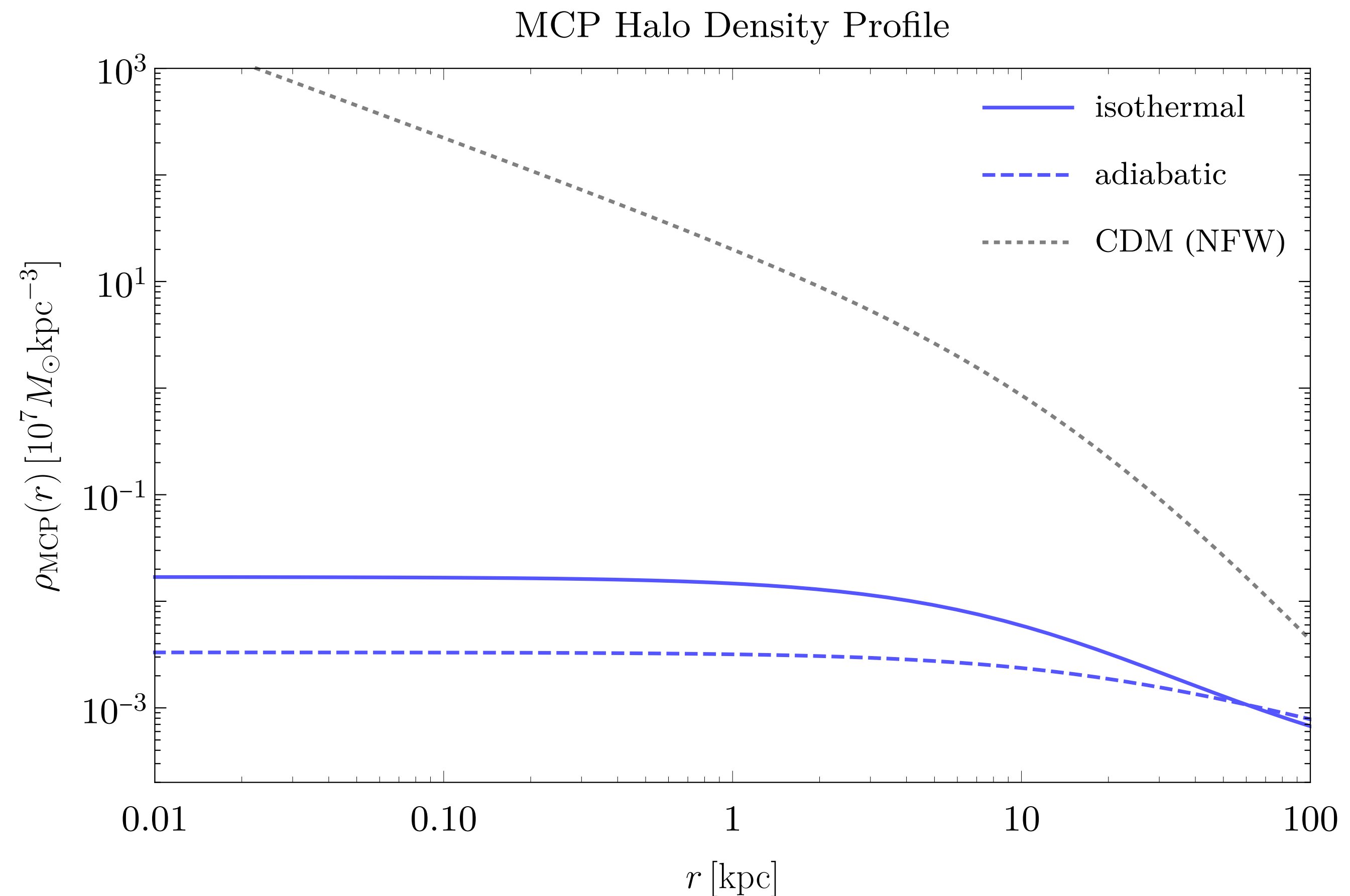
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CDM potential

Ideal gas law:

$$P_i = \rho_i \theta_i$$



Thermodynamic Considerations

Efficient thermalization:

$$t_{\text{th}} \lesssim t_{\text{gal}}$$

thermalization time

age of the galaxy

Thermodynamic Considerations

Efficient thermalization:

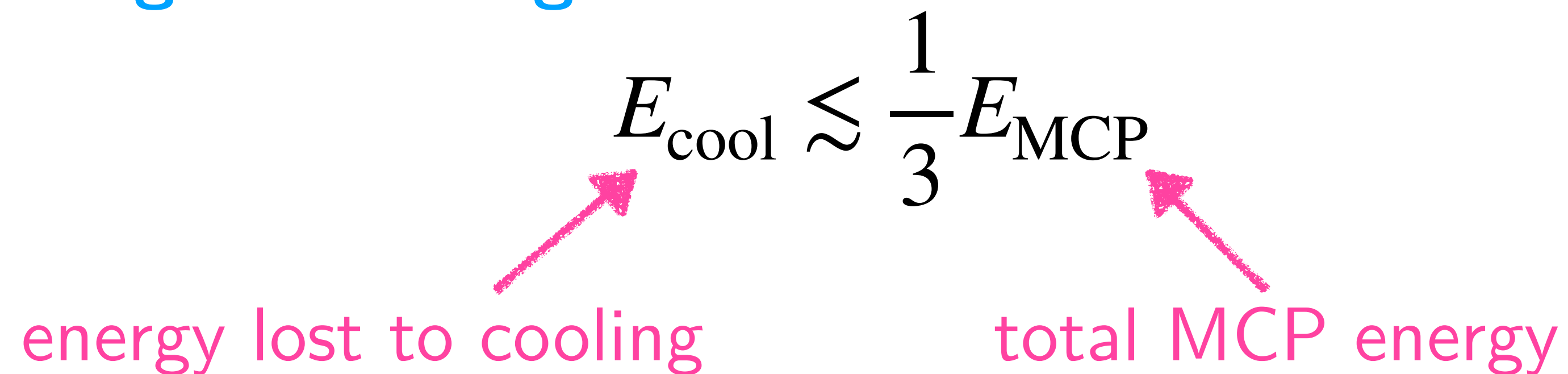


Thermodynamic Considerations

Efficient thermalization:



Neglect cooling effects:



Thermodynamic Considerations

Efficient thermalization:



Neglect cooling effects:



Direct-detection Prospects

Scattering rate in electron-recoil based experiments (XENON10, SENSEI):

$$R_{1\rightarrow 2} = n_{\ell}^{\text{loc}} \int d^3\boldsymbol{\beta}_{\ell} g_{\ell}(\boldsymbol{\beta}_{\ell}) \sigma v_{1\rightarrow 2}$$

local MCP distribution

QFT matrix-element
+ atomic physics

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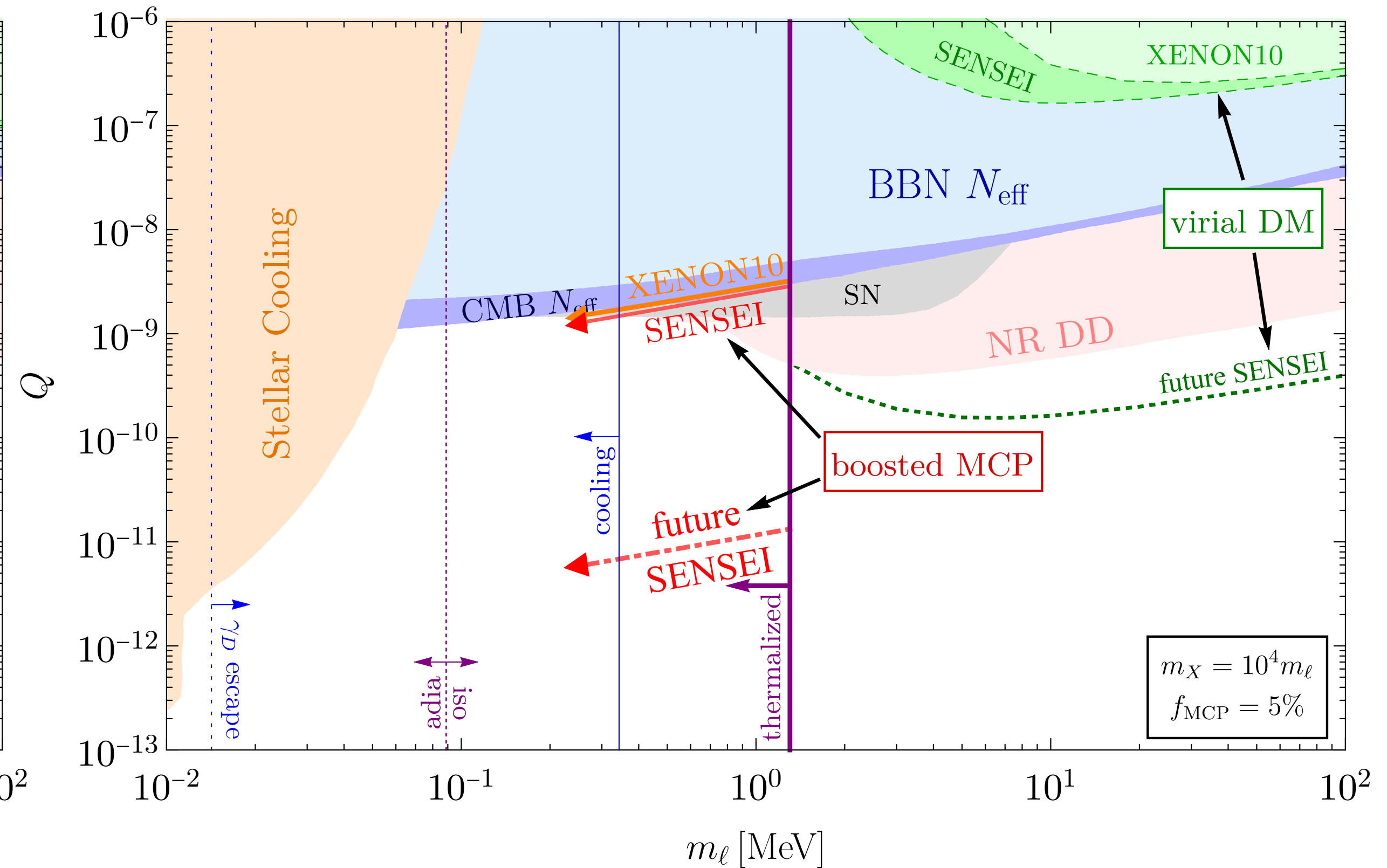
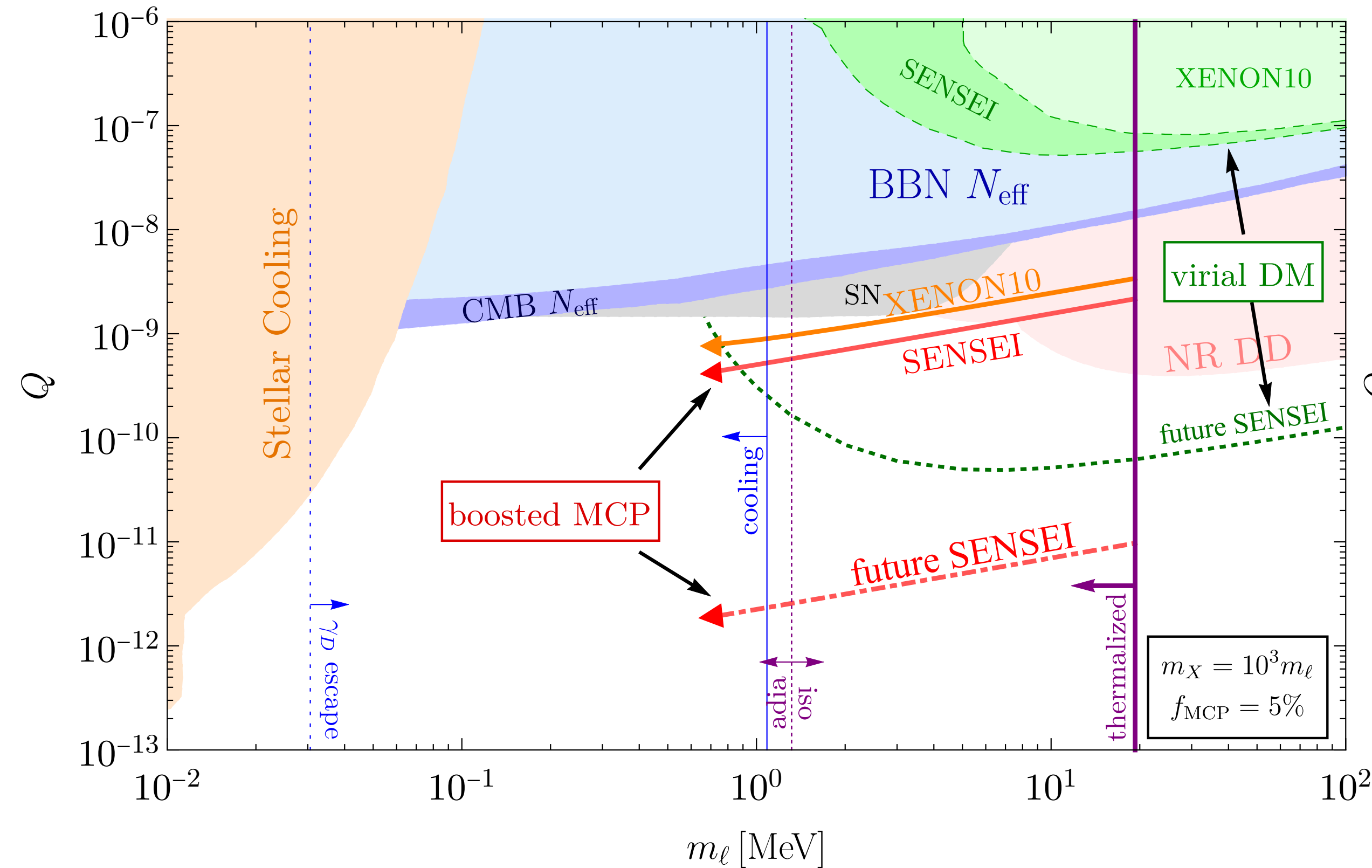
local MCP distribution

QFT matrix-element
+ atomic physics

$$g_{\ell}(\boldsymbol{\beta}_{\ell}) \sim e^{-mv^2/2T_{\ell}}$$

MB velocity-distribution with
no escape velocity cutoff!

Detector Reach and Predictions



Thank you for your attention