



"Hedgehog" events revisited

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Winter Workshop on Nuclear Dynamics 2023, Puerto Vallarta

Introduction to "hedgehog" events

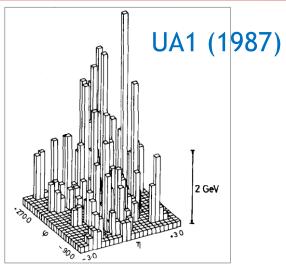
• The UA1 and CDF collaborations have reported the presence of events with a very extended structure of low momentum tracks filling in a uniform way the pseudorapidity-azimuth $(\eta - \phi)$ phase space.

• First dedicated analysis of highest E_T events seen in the UA1 detector at $\sqrt{s} = 630$ GeV (with isotropic events with $E_T \sim 210$ GeV) - no evidence for non-QCD mechanism for these events.

• Unusual events observed in ppbar collisions at $\int s = 1.8$ TeV by CDF's Run 1 detector with more than 60 charged particles and ~320 GeV of transverse energy (E_T) - called "hedgehog" events by C. Quigg.



• Taken for granted that in these events with high E_T perturbative aspects of QCD dominate the event properties: multi-jet events.



<u>UA1 Collaboration, Zeit. für Phys. C,</u> <u>V. 36, p. 33 (1987)</u>



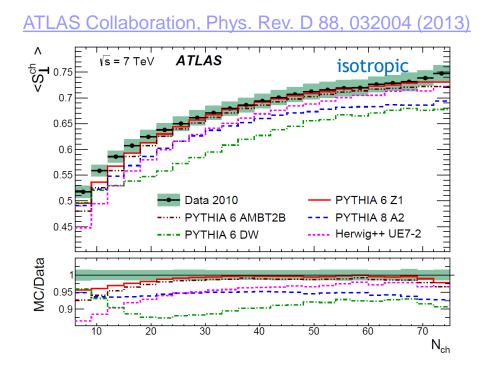
Characterisation of high-multiplicity events

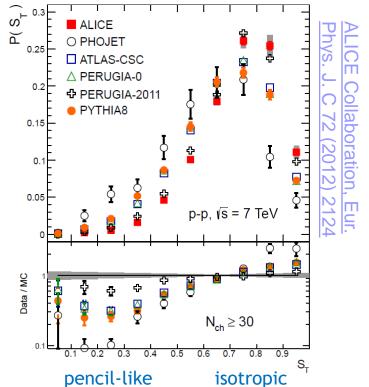
• Attempts to characterise these high-multiplicity events: use of event shapes, i.e. using transverse sphericity: $2\lambda_{xy}^{xy}$ $\sum_{n=1}^{\infty} \frac{1}{\left[n^{2} - n^{2}\right]} = \frac{1}{\left[n^{2} - n^{2}\right]}$

$$S_{\perp} = \frac{2\lambda_2^{xy}}{\lambda_1^{xy} + \lambda_2^{xy}} , \quad S^{xy} = \sum_i \frac{1}{|\vec{p}_{\mathrm{T},i}|^2} \begin{bmatrix} p_{x,i}^2 & p_{x,i} p_{y,i} \\ p_{x,i} p_{y,i} & p_{y,i}^2 \\ p_{x,i} p_{y,i} & p_{y,i}^2 \end{bmatrix}$$

• Both ALICE and ATLAS observed an **under-estimation** of isotropic events by MC generators at high charged multiplicity ($N_{ch} \ge 30$)

 Suggest that a very active underlying event (UE) is needed by the MC event generators in order to explain these high-multiplicity events





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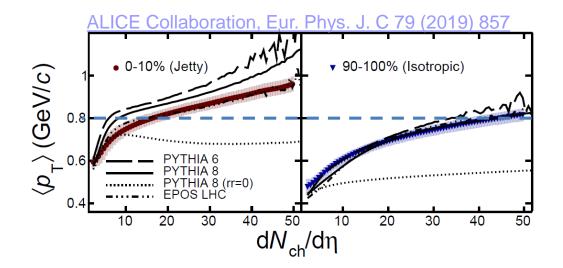
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• ALICE measurement shows that $< p_T >$ as a function of N_{ch} in isotropic events was found to be **smaller** than that measured in jet-like events, and that for jet-like events, the $< p_T >$ is **over-estimated** by PYTHIA 6 and 8 models.



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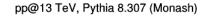
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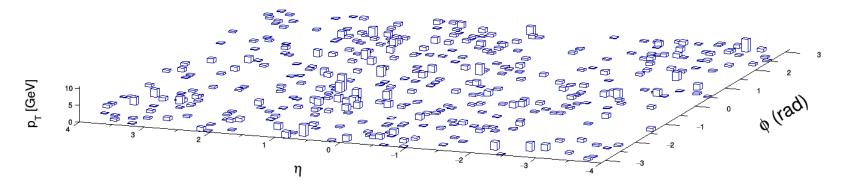
• Recently, a new event shape parameter, **flattenicity**, was proposed [<u>A. Ortiz, G. Paic, Rev. Mex. Fis. Suppl. 3 (2022) 4, 040911</u>] that allows one to identify and characterise high-multiplicity events with a quasi-isotropic distribution in a wide pseudorapidity range in proton-proton collisions.

• MC event generators are able to model "hedgehog" events, which opens the possibility to study their properties and find a potential way to experimentally trigger these events.

• The idea: find out how uniform the p_T of tracks is distributed in a given event!

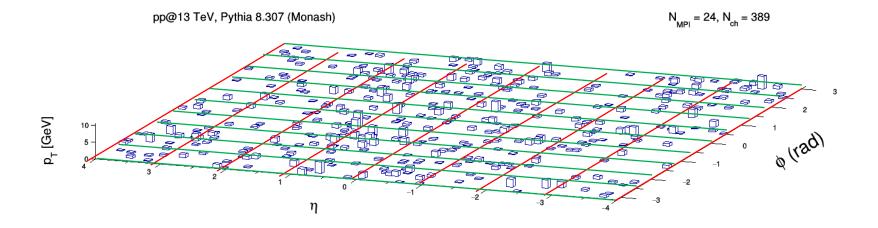


 $N_{MPI} = 24, N_{ch} = 389$



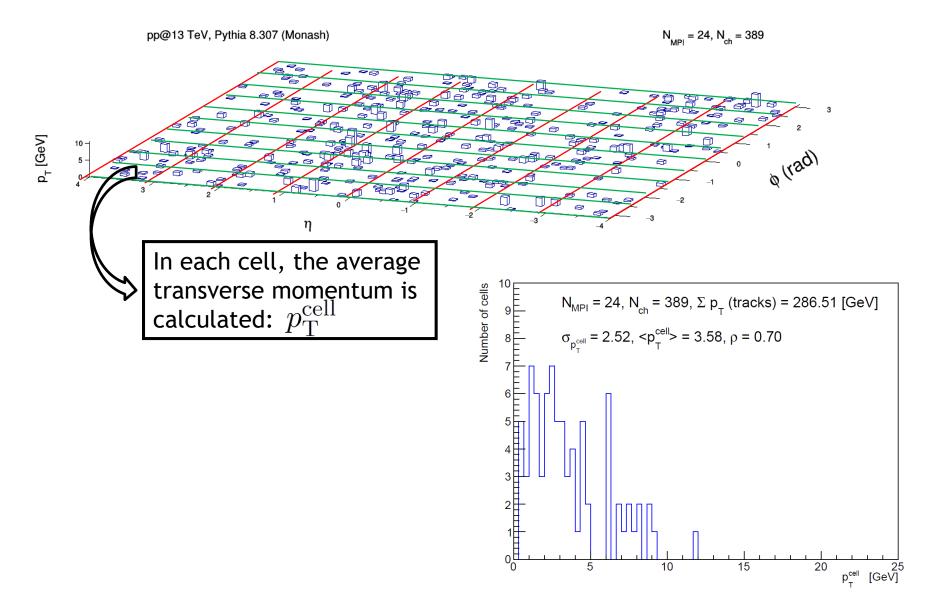


• Build 8 x 10 grid in $(\eta - \phi)$ space:





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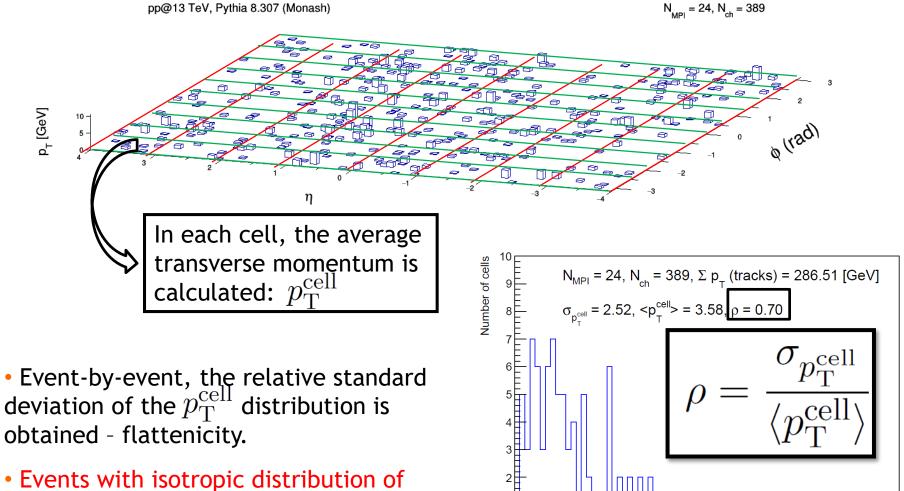


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p_cell

[GeV]

• Build 8 x 10 grid in $(\eta - \phi)$ space:



5

10

15

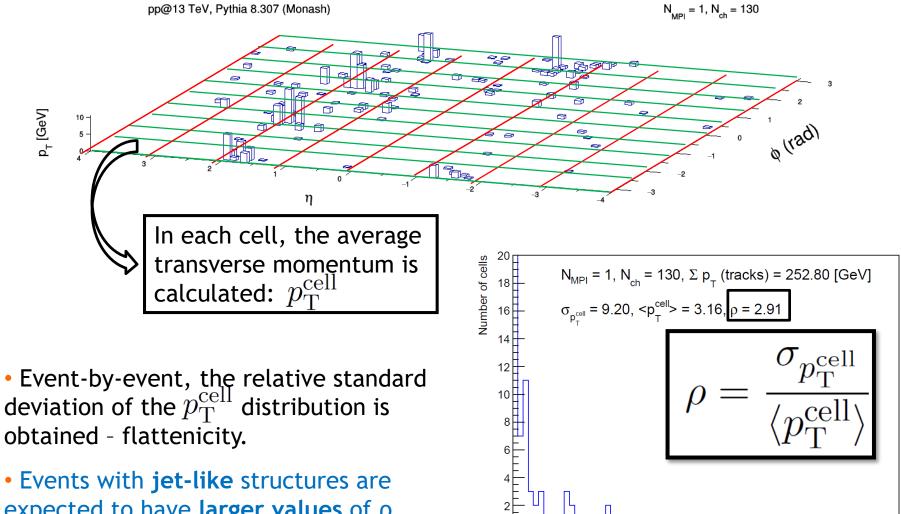
 Events with isotropic distribution of particles ("hedgehogs") are expected to have a small value of flattenicity (ρ < 1).



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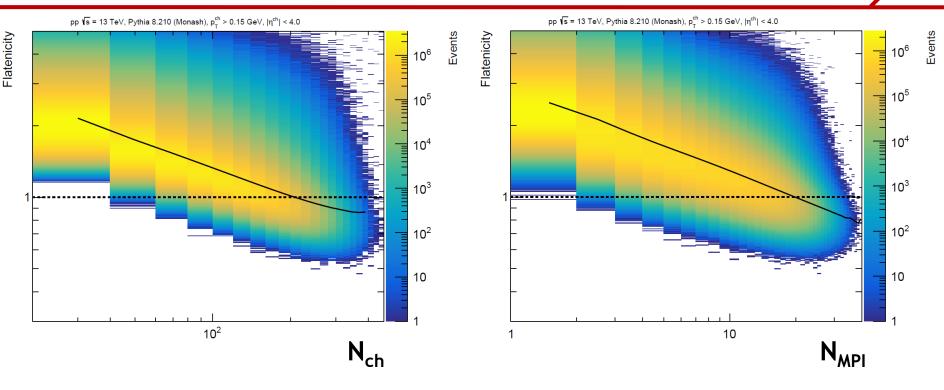
[GeV]

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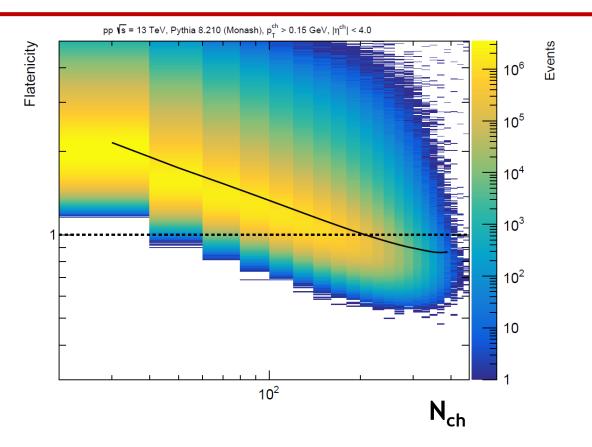


expected to have larger values of ρ.

Analysing flattenicity vs N_{ch} and vs N_{MPI}

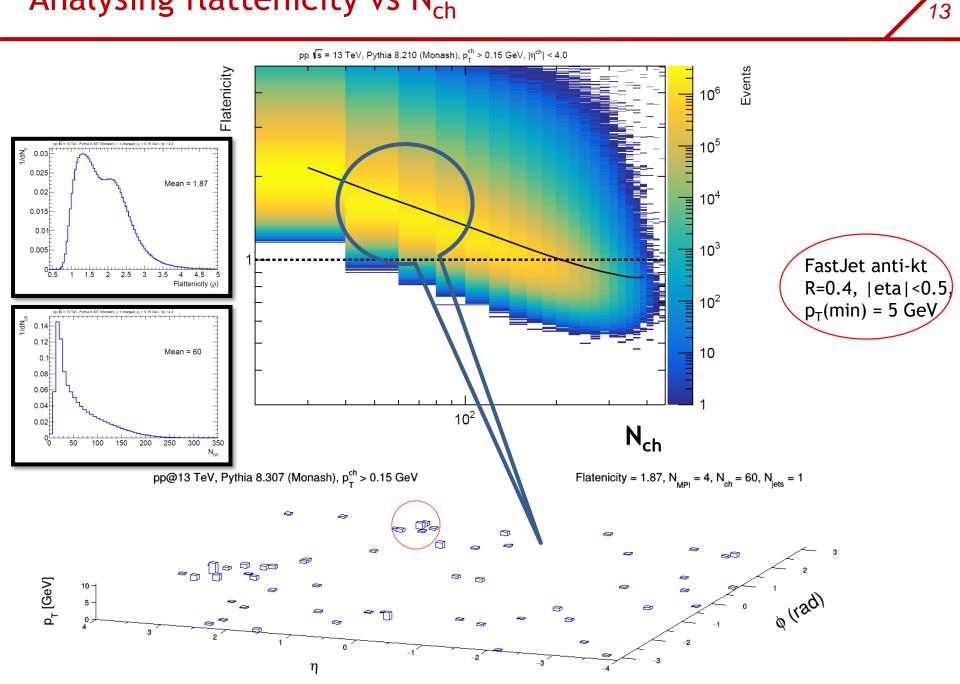


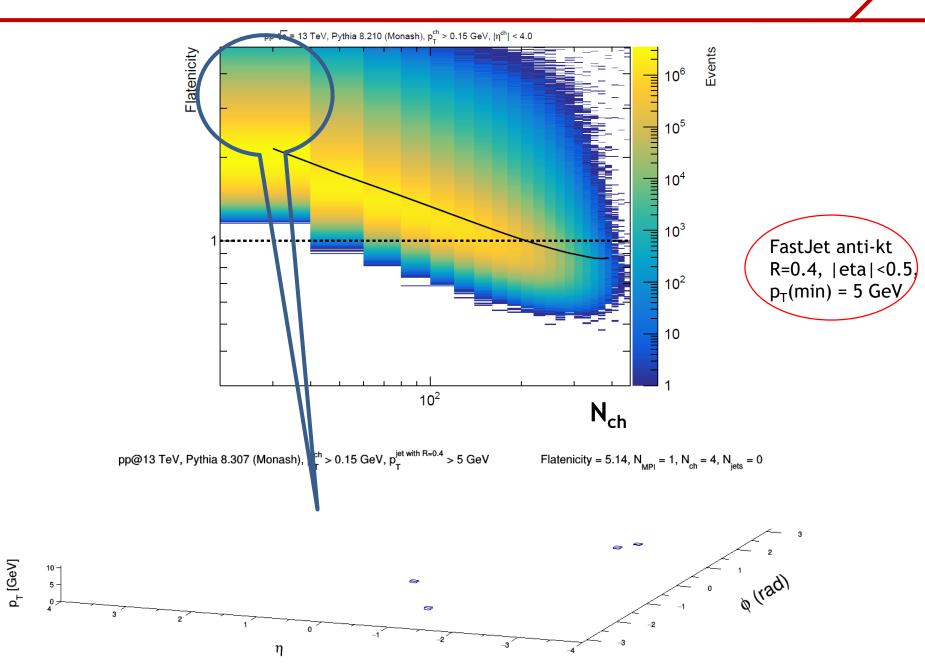
- Pythia 8.3 pp@13 TeV events with minimum-bias (SoftQCD:nonDiffractive) settings, Monash 2013 tune, with $|\eta| < 4$ and min p_T (chgd. particles) of 0.15 GeV.
- At low N_{ch} the flattenicity distribution is very wide, $\langle \rho \rangle$ is signicantly above unity.
- goes below unity with N_{ch} > 200, and for very high values of N_{ch} flattenicity approches 0.5 as the particles get to be quite uniformly distributed in the η - ϕ space.
- Similar correlation between flatenicity and the number of multiparton interactions.

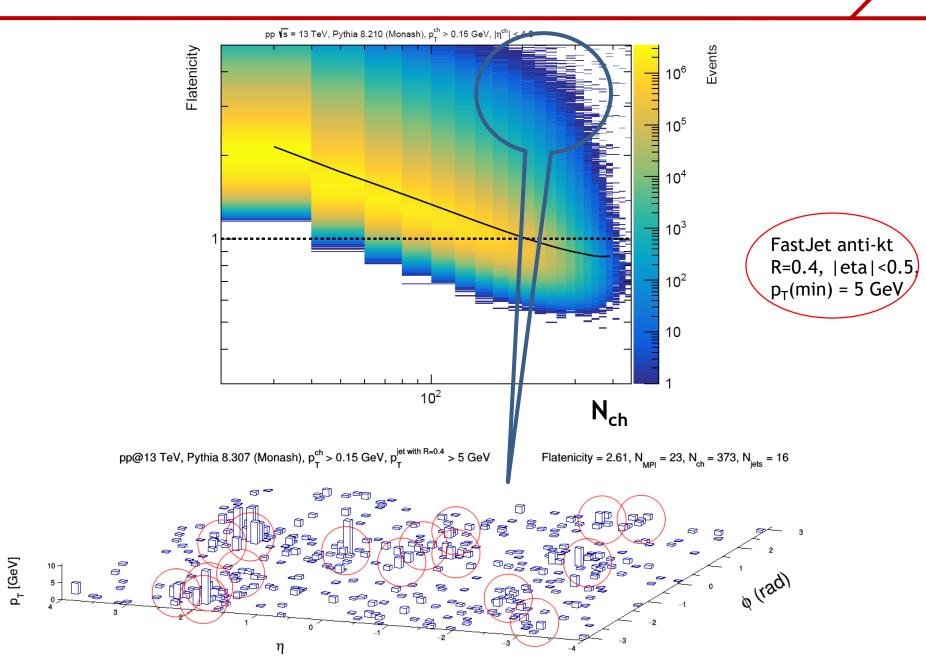


• Almost all of the results rely on "means" and "averages" of the distributions, yet the interesting (and by definition rare) effects lie on the "outliers"!

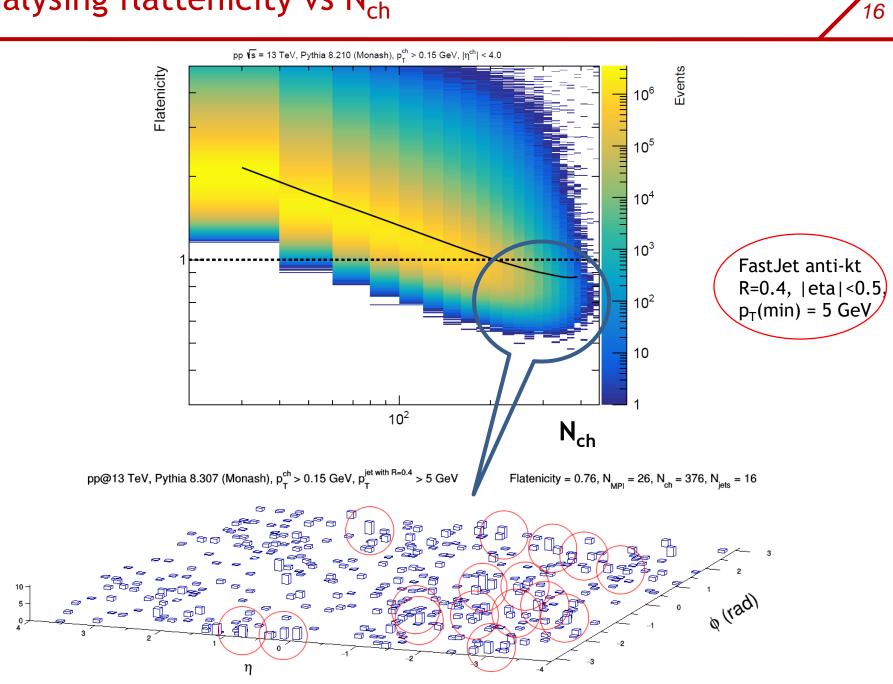
 Flattenicity opens a new way to study pp collisions and analyse those outliers: looking for hedgehog events!



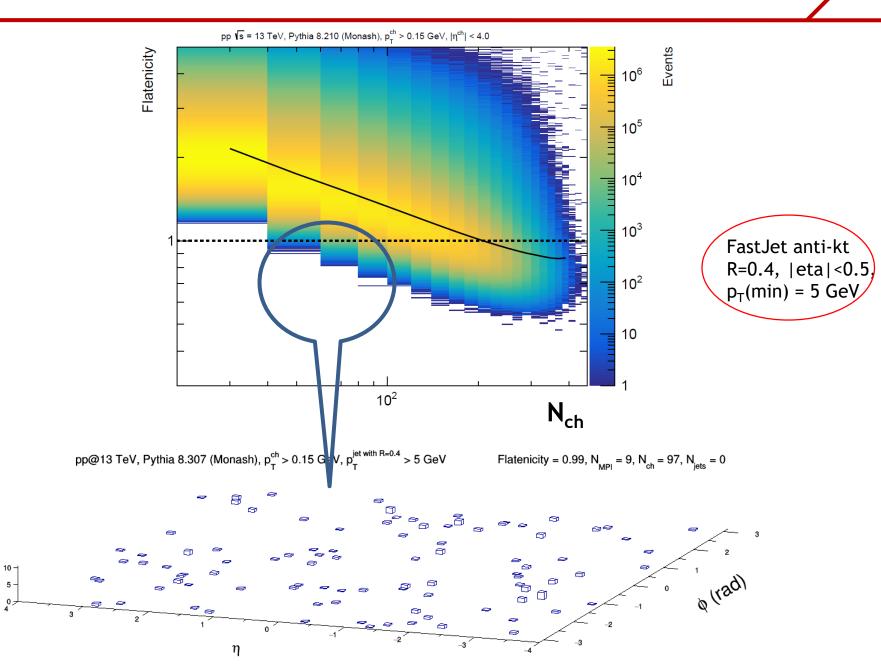


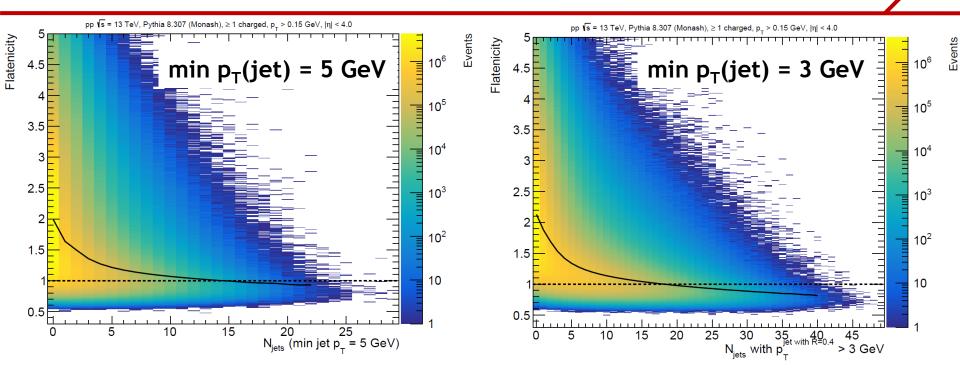


p_T [GeV]



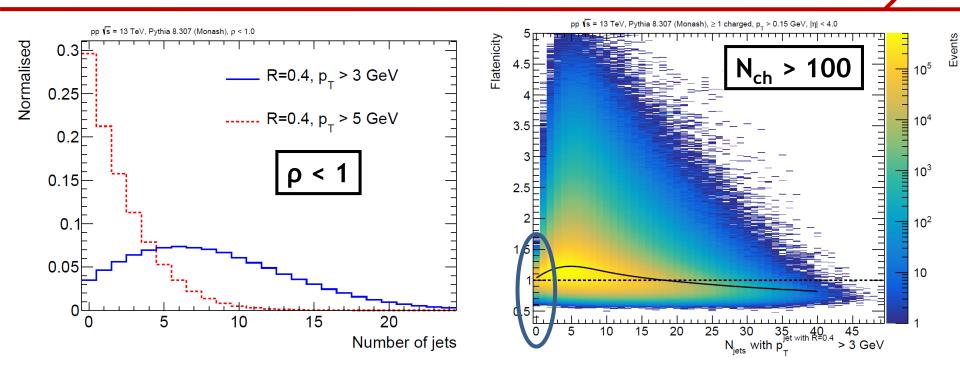
p_T [GeV]





• As the jet energy decreases, the interpretation of the event topology becomes more difficult and the definition of a "jet" becomes arbitrary.

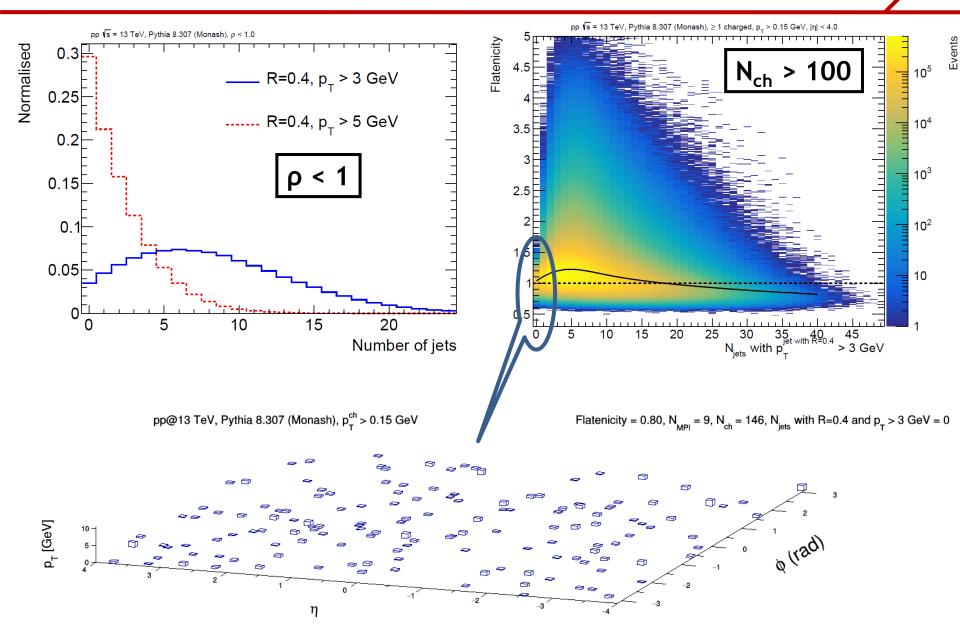
• Considering that events with high p_T are consistent with having a substantial component of QCD jets, the 3 GeV cut represents the lowest reasonable limit below which any attempt to separe experimentally soft production fluctuations from hard scattering would be unreliable.



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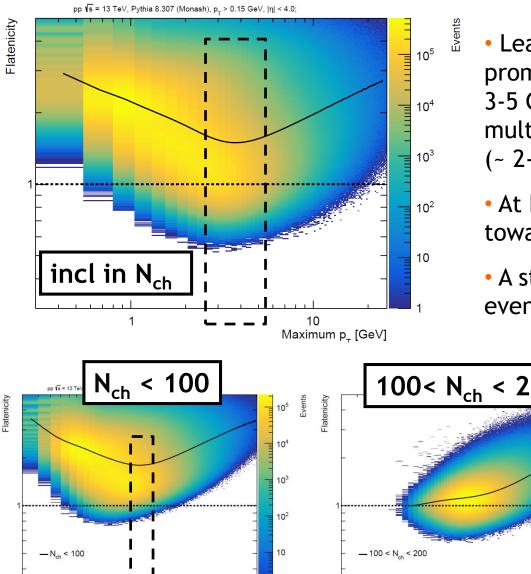
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• In the **low flattenicity regime**, we are able to select hedgehog events with **high multiplicity** and with **no jet production** (~0.1% of all events).



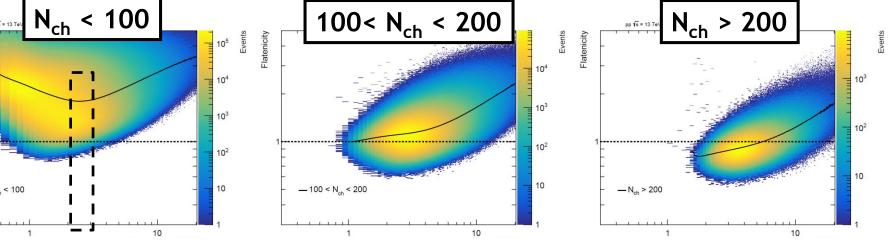
Analysing flattenicity vs leading chgd. particle p_T

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- Leading charged particle p_T shows a prominent feature: has a dip around 3-5 GeV, while events with lower multiplicity show a dip at lower values (~ 2-3 GeV)
- At higher N_{ch} , < ρ > shows a trend towards higher p_T values

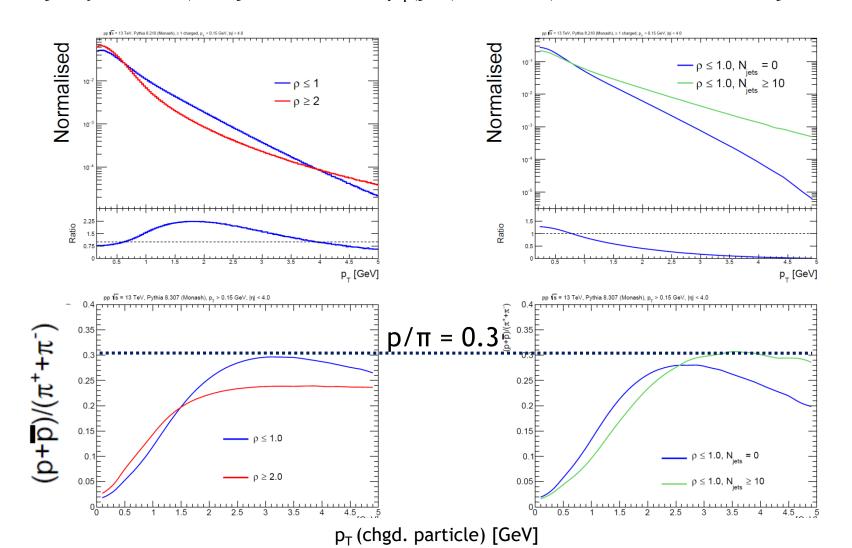
• A step towards studying the underlying event by using the leading particle $\ensuremath{p_{\text{T}}}$



Leading p_T (chgd. particle) [GeV]

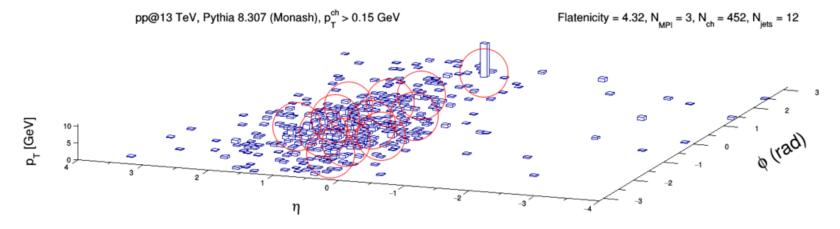
Analysing flattenicity vs chgd. particle p_T and p/π ratio $/_{22}$

• We study the p_T (particle) as well as the proton-to-pion ratio in 0.15 to 5 GeV interval by selecting events with $\rho < 1$ and $\rho > 2$. For events with $\rho < 1$, we also select jetty events (≥ 10 jets with min p_T (jet) = 5 GeV) and events with no jets at all.



Analysing very atypical events

- Flattenicity allows one to find quite atypical (and rare 1/100M) events:
 - i.e. high chgd. multiplicities (>300) and low number of hard-scatterings (MPI=3)



- In some events we see one very high p_T charged particle (around which a jet is usually build, and particle p_T divided by jet p_T approaches unity!) .
- Recoil jets are usually produced opposite in ϕ , and fragment into several particles.
- Nor the partonic hard-scattering $p_{\rm T}$, nor the additional multiparton interactions $p_{\rm T}$ are high enough nor match the reconstructed energy for these events.
- Are we looking at the limit of fragmentation and/or ISR/FSR emissions?
- We are identifying an experimental way to find these events, and it would be a perfect place to study data and tune our generators!



• Hedgehog events have never been seriously studied in pp collisions at the LHC. These events are "rare" - but as rare as a Z-boson production!

Selection	Probability
ρ < 1	4 x 10 ⁻²
ρ < 0.75, N _{ch} > 100, N _{jets} =0	2 x 10 ⁻⁶
ρ < 0.75, N _{ch} > 400	6 x 10 ⁻⁸

• Flattenicity - the new event structure parameter - allows one to identify the hedgehog events and is more detailed than sphericity/spherocity/RT, as one can observe the evolution of events from jetty to hedgehog type.

• We are able to identify different classes of hedgehog events: those with high jet multiplicity (jetty) and with no jet production.

• Events with low flattenicity show an enhancement in the proton-to-pion ratio compared to those with high flattenicity.

• Studying these events may shed light to the search for the "energy re-distribution" effect in pp collisions.

• Next step: look for hedgehog events in data!



BACK-UP

A. Ortiz, arXiv:1110.2278 [hep-ex]

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sphericity is measured in the acceptance $|\eta| \leq 0.8$, for events with more than two tracks ($p_T \geq 0.5 \text{ GeV/c}$). The observable is defined as follows:

$$S_T \equiv \frac{2\lambda_2}{\lambda_2 + \lambda_1} \tag{1}$$

where: $\lambda_1 > \lambda_2$ are the eigenvalues of the transverse momentum matrix:

$$\mathbf{S}_{\mathbf{xy}}^{\mathbf{L}} = \frac{1}{\sum_{i} p_{Ti}} \sum_{i} \frac{1}{p_{Ti}} \begin{pmatrix} p_{xi}^{2} & p_{xi}p_{yi} \\ p_{xi}p_{yi} & p_{yi}^{2} \end{pmatrix}$$

By construction, the limits of the variable are related to specific configurations in the transverse plane

$$S_{\rm T} = \left(\begin{cases} = 0 & \text{``pencil-like'' limit} \\ = 1 & \text{``isotropic'' limit} \end{cases} \right).$$