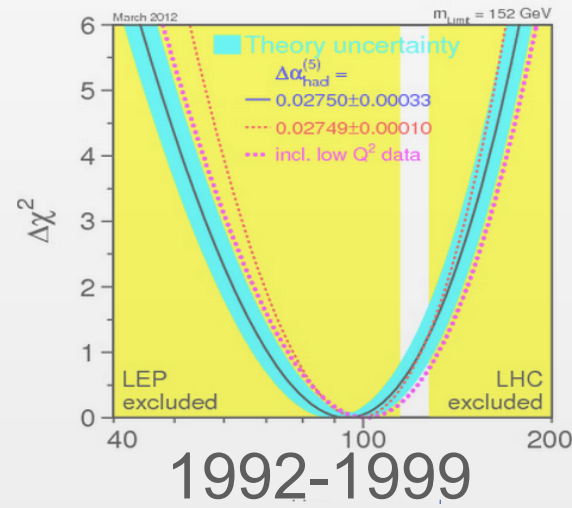


1964



e+e- Z pole pgme

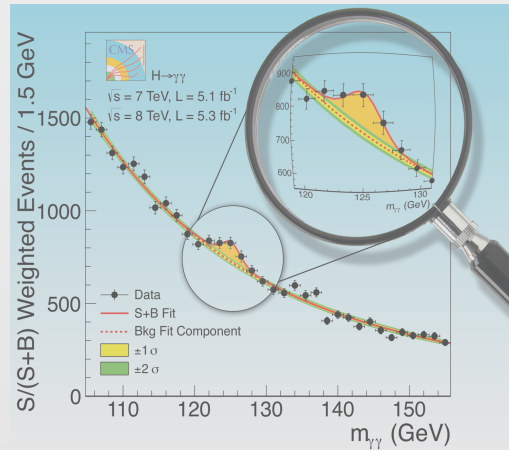
—Overview—

(‘WHY?’ and ‘HOW?’)

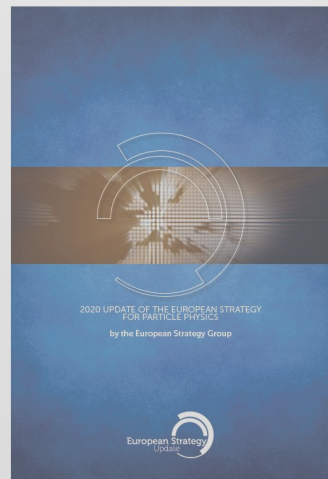
ECFA HTE meeting on Z pole physics
Sept. 23, 2022



2010



2012



2020



2040

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LHC: driving cultural change forward

Absence (so far) of new physics where it was expected (TeV)

&

progresses in string theory/quantum gravity (swampland, no global symmetries)



question our description of Nature in terms of effective quantum field theories
(non-locality, IR/UV correlation)

IR parameters are functions of some fields whose value vary during the cosmological history or throughout a complex vacuum structure

Axion: $\mathcal{L}_{\text{dim}=4} = \frac{g_s^2}{32\pi^2} \bar{\theta} G_{\mu\nu}^a \tilde{G}^{\mu\nu,a} \quad \bar{\theta} \rightarrow a$ **Higgs mass:** relaxion, etc. $\mu|H|^2 \rightarrow g\Lambda\phi|H|^2$

“Weak Scale Triggers”

cosmological naturalness power counting

mass of the cosmological mediator \rightarrow $\frac{m_\phi^2}{\mu^2} \simeq \frac{\tilde{v}^{2q-j} v^j}{\Lambda_H^{2q}} \lesssim \frac{v^{2q}}{\Lambda_H^{2q}}$ \leftarrow EW scale

its coupling to SM \rightarrow $\frac{m_\phi^2}{\mu^2} \simeq \frac{\tilde{v}^{2q-j} v^j}{\Lambda_H^{2q}} \lesssim \frac{v^{2q}}{\Lambda_H^{2q}}$ \leftarrow Higgs cutoff

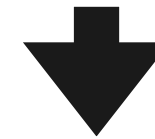
q = integer defines the BSM model

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“Weak Scale Triggers”

“Intensity frontier” is not only about precise measurements but it could reveal light and weakly coupled structures as solution to the main open HEP questions.

This makes FCC-ee valuable on its own and not only through the synergy with FCC-hh.

Why More Precision?

I Indirect sensitivity to New Physics (see quantitative concrete examples later)

LEP
($10^6 Z$)

$$\frac{c}{\Lambda^2} < \Delta$$

stat. dominated

observables

FCC-ee
($10^{12} Z$)

$$\frac{c}{\Lambda^2} < 10^{-3} \Delta$$

i.e. improve bounds by $\begin{cases} \nearrow \text{a factor } \mathbf{1000} \text{ on } c \\ \searrow \text{a factor } \mathbf{30} \text{ on } \Lambda \end{cases}$

2 The precise values of the Higgs couplings control the structure of matter/Universe

$m_W, m_Z \leftrightarrow$ Higgs couplings
 \uparrow
 lifetime of stars
 (why $t_{\text{Sun}} \sim t_{\text{life evolution}}$?)

$m_e, m_u, m_d \leftrightarrow$ Higgs couplings
 $\swarrow \quad \searrow$
 size of atoms nuclei stability

EW @ $t \sim 10^{-10} \text{s} \leftrightarrow$ Higgs self-coupling
 ?

matter/anti-matter \leftrightarrow CPV in Higgs sector
 ?

Why More Precision?

3

The values of the EFT interactions among SM fields will reveal the “selection rules” of the SM, with intimate links to new structure/symmetries

Examples of symmetries leading to different selection rules

Operator	Naive (maximal) scaling with g_*	Symmetry/Selection Rule and corresponding suppression
$O_{y_\psi} = H ^2 \bar{\psi}_L H \psi_R$	g_*^3	Chiral: y_f/g_*
$O_T = (1/2) \left(H^\dagger \overleftrightarrow{D}_\mu H \right)^2$	g_*^2	Custodial: $(g'/g_*)^2, y_t^2/16\pi^2$
$O_{GG} = H ^2 G_{\mu\nu}^a G^{a\mu\nu}$ $O_{BB} = H ^2 B_{\mu\nu} B^{\mu\nu}$	g_*^2	Shift symmetry: $(y_t/g_*)^2$ Elementary Vectors: $(g_s/g_*)^2$ (for O_{GG}) $(g'/g_*)^2$ (for O_{BB}) Minimal Coupling: $g_*^2/16\pi^2$
$O_6 = H ^6$	g_*^4	Shift symmetry: λ/g_*^2

$$\mathcal{L}_{\text{eff}} = \mathcal{L}_{\text{SM}} + \sum_i \frac{c_i^{(6)}}{\Lambda^2} \mathcal{O}_i^{(6)} + \sum_j \frac{c_j^{(8)}}{\Lambda^4} \mathcal{O}_j^{(8)} + \dots$$

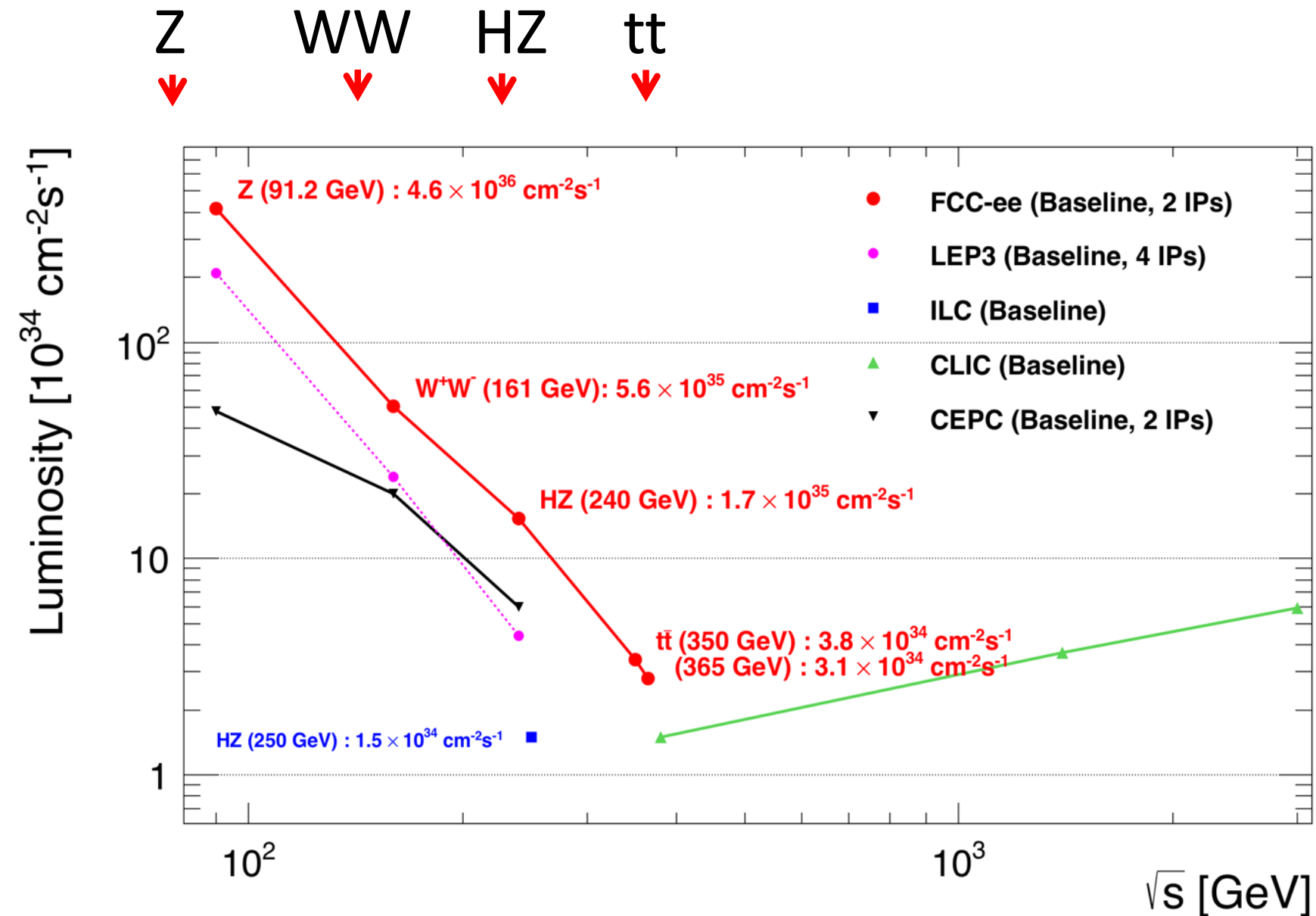
Dimensional arguments impose

$$c_i^{(D)} \sim (\text{coupling})^{n_i-2} \quad n_i = \text{number of fields in operator } \mathcal{O}_i^{(D)} \text{ (independent of } D)$$

generically, (coupling $\sim g_*$) coupling of New Physics to SM but there might exist “**selection rules**” that lead to other scaling

Precision physics exp. (EDMs, $g-2$...) usually constrains one operator. Need a collider to have access to several of them and then understand the underlying structure.

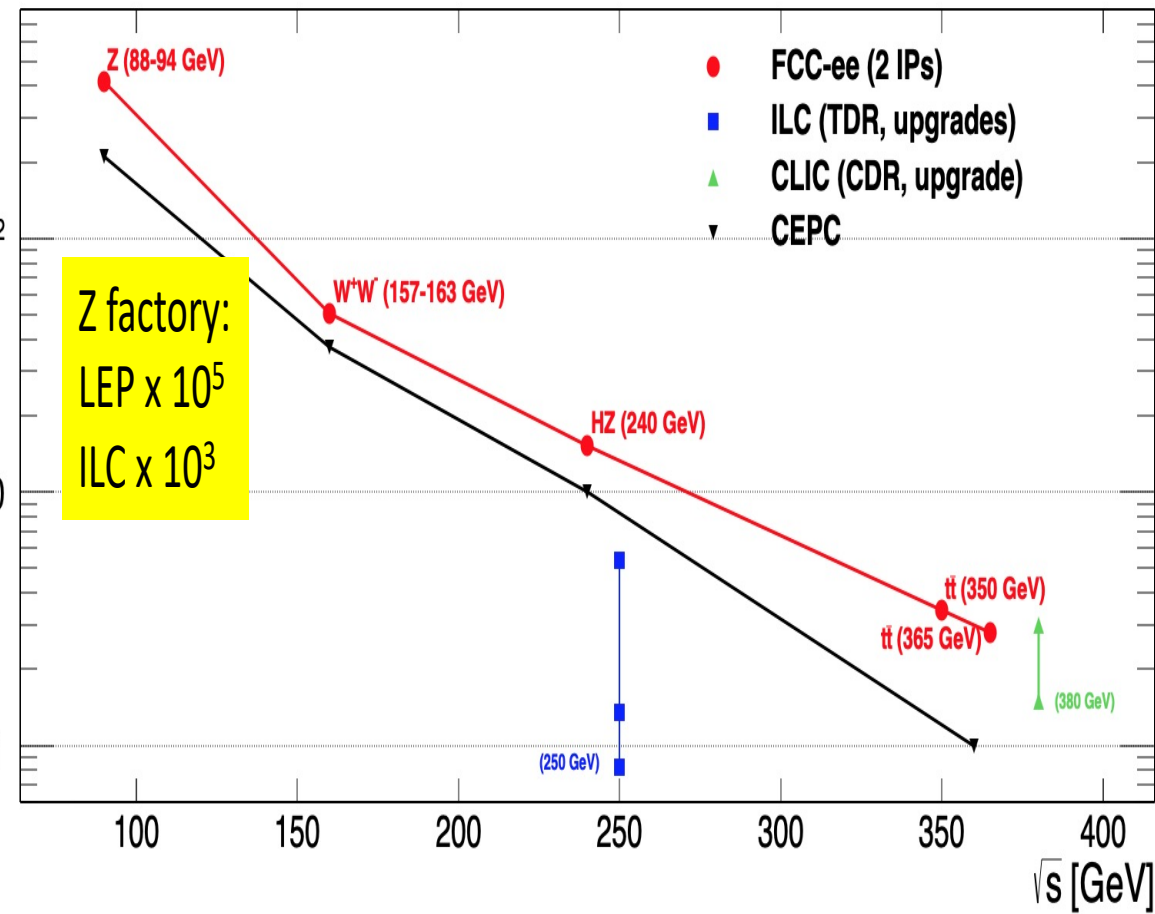
ee Higgs Factory Luminosity



Linear collider can achieve Z-pole programme (10^6 Z) via radiative return or dedicated low luminosity run (10^9 Z).
Circular collider can collect 10^{12} Z in only a few years.

FCC-ee Run Plan

LEP data accumulated in first 3 mn. Then exciting & diverse programme with different priorities every few years.
 (order of the different stages still subject to discussion/optimisation)



Phase	Run duration (years)	Center-of-mass Energies (GeV)	Integrated Luminosity (ab^{-1})
FCC-ee-Z	4	88-95	150
FCC-ee-W	2	158-162	12
FCC-ee-H	3	240	5
FCC-ee-tt	5	345-365	1.5

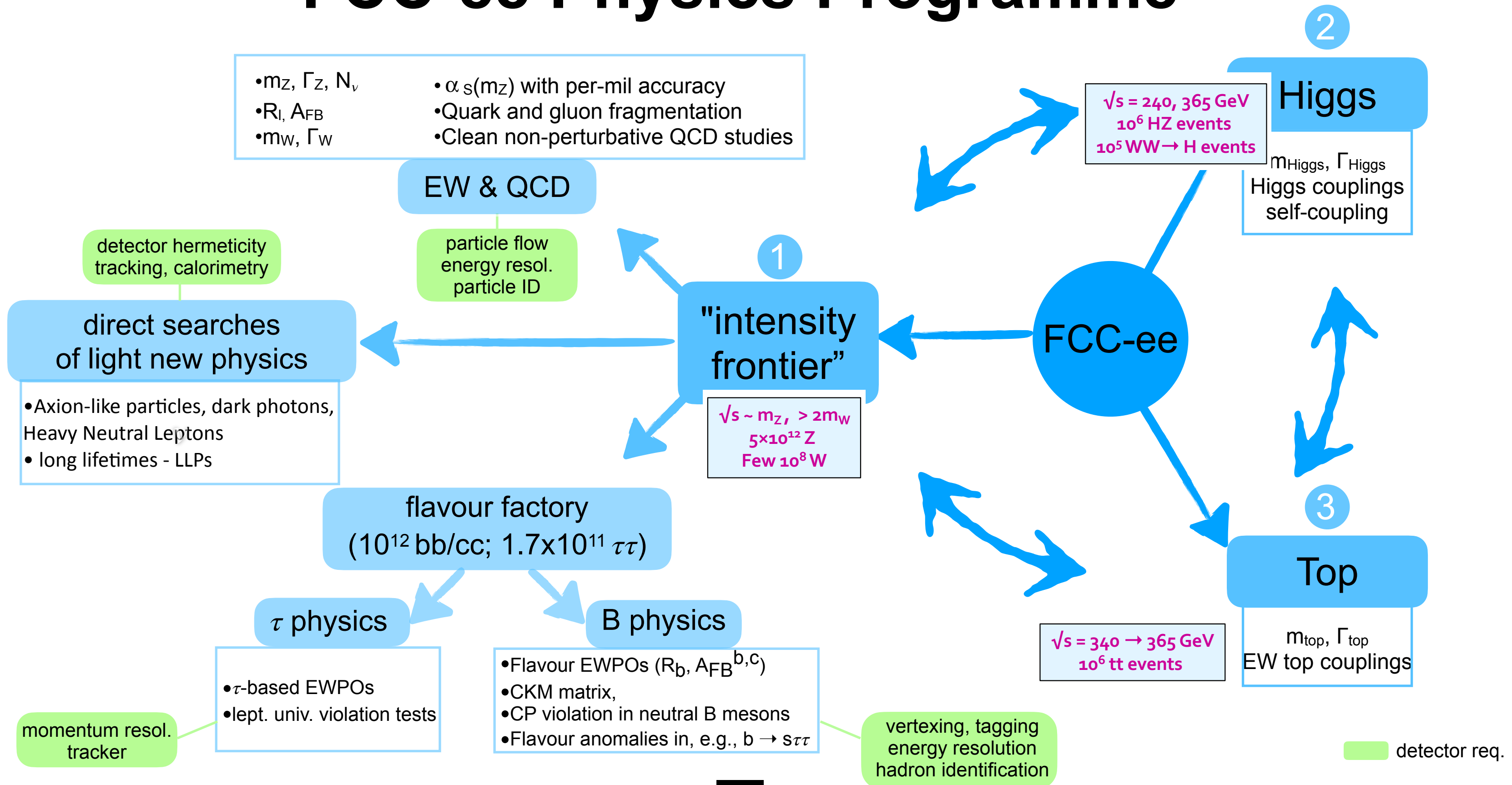
— Superb statistics achieved in only 15 years —

in each detector:
 10^5 Z/sec, 10^4 W/hour,
1500 Higgs/day, 1500 top/day

Event statistics (2IP)

Process	E_{cm}	Duration	Events	Physics	Statistics	E_{CM} errors:
Z peak	91 GeV	4yrs	$5 \cdot 10^{12}$	$e^+e^- \rightarrow Z$	LEP $\times 10^5$	<100 keV
WW threshold	$E_{\text{cm}} \geq 161$ GeV	2yrs	$>10^8$	$e^+e^- \rightarrow WW$	LEP $\times 2 \cdot 10^3$	<300 keV
ZH maximum	$E_{\text{cm}} : 240$ GeV	3yrs	$>10^6$	$e^+e^- \rightarrow ZH$	Never done	1 MeV
s-channel H	$E_{\text{cm}} : m_H$	(3yrs?)	$O(5000)$	$e^+e^- \rightarrow H$	Never done	$\ll 1$ Me
tt	$E_{\text{cm}} : \geq 350$ GeV	5yrs	10^6	$e^+e^- \rightarrow t\bar{t}$	Never done	2 MeV

FCC-ee Physics Programme



FCC-ee Physics Programme

2

Higgs

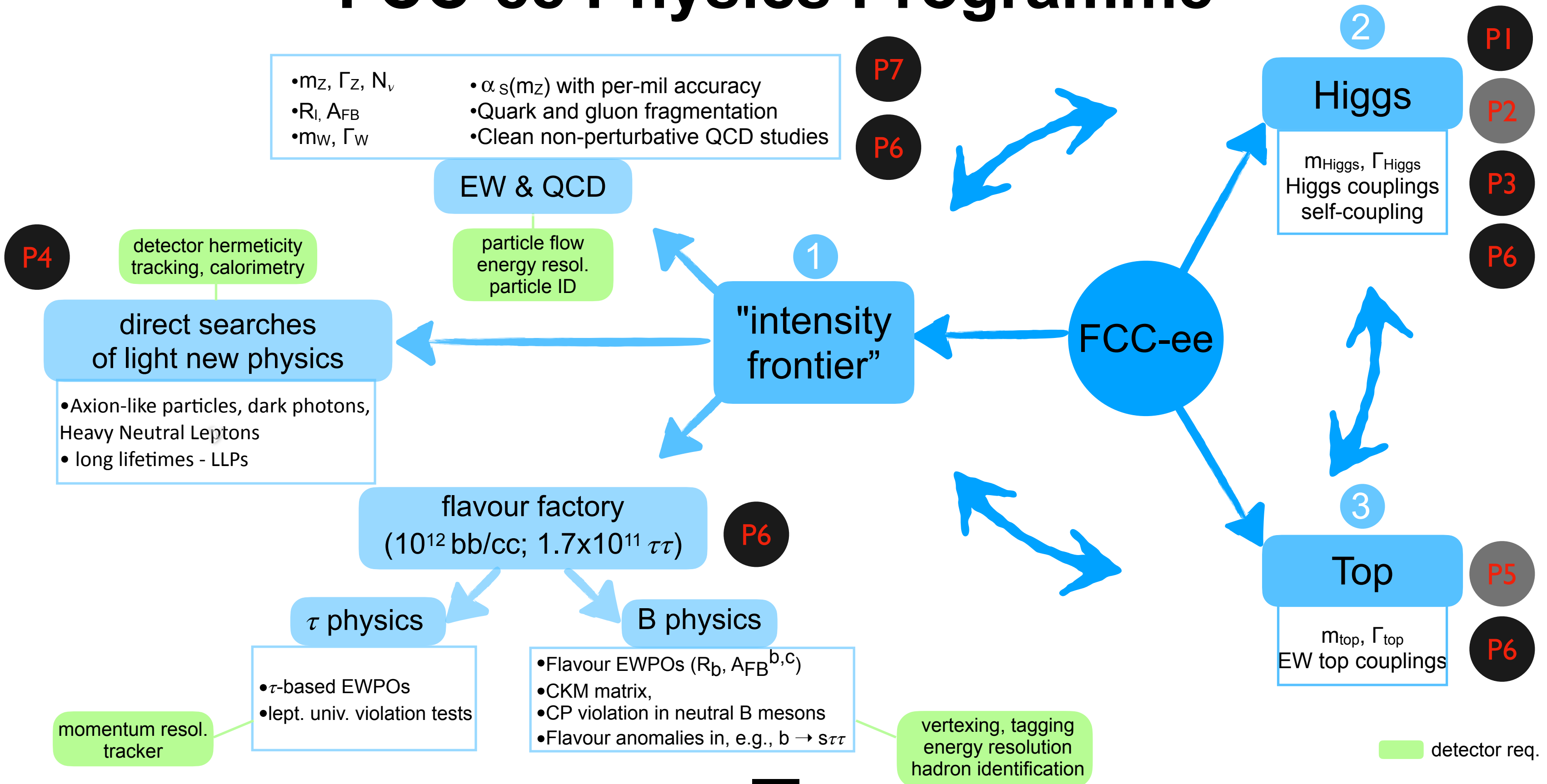
$m_{\text{Higgs}}, \Gamma_{\text{Higgs}}$
Higgs couplings
self-coupling

Higgs sector definition imposes initial requirements on **hadronic resolution, tracking and vertexing**

Physics Process	Measured Quantity	Critical Detector	Required Performance
$ZH \rightarrow \ell^+ \ell^- X$	Higgs mass, cross section	Tracker	$\Delta(1/p_T) \sim 2 \times 10^{-5}$
$H \rightarrow \mu^+ \mu^-$	$\text{BR}(H \rightarrow \mu^+ \mu^-)$		$\oplus 1 \times 10^{-3} / (p_T \sin \theta)$
$H \rightarrow b\bar{b}, c\bar{c}, gg$	$\text{BR}(H \rightarrow b\bar{b}, c\bar{c}, gg)$	Vertex	$\sigma_{r\phi} \sim 5 \oplus 10 / (p \sin^{3/2} \theta) \mu\text{m}$
$H \rightarrow q\bar{q}, VV$	$\text{BR}(H \rightarrow q\bar{q}, VV)$	ECAL, HCAL	$\sigma_E^{\text{jet}} / E \sim 3 - 4\%$
$H \rightarrow \gamma\gamma$	$\text{BR}(H \rightarrow \gamma\gamma)$	ECAL	$\sigma_E \sim 16\% / \sqrt{E} \oplus 1\% (\text{GeV})$

detector req.

FCC-ee Physics Programme



Snowmass 2021 Higgs Factory Considerations

J. Bagger+ arXiv:2203.06164

— Physics Considerations —

P1	P2	P3	P4	P5	P6	P7
Precision Higgs measurements to SM particles	Measurements of Higgs self-coupling(s)	Sensitivity to rare and exotic Higgs decays	New Physics discovery potential	Direct measure of EW/Yukawa top coupling	Indirect sensitivity to New Physics	Improved measurements of α_s

— Technological Considerations —

T1	T2	T3	T4	T5	T6	T7
Range of operating E/ease of changing E	Annual integrated luminosity	Upgradability to higher energy/luminosity	Extent and cost of remaining R&D	Ability to operate at the tt threshold	Ability to run at the Z pole	Ability to run at the WW threshold
T8	T9	T10	T11	T12-T13	T14-T15	T16
Stability and calibration of collision energy	Beam stability and luminosity calibration	Ability to control beam-related backgrounds	Ability to provide independent confirmation of new discoveries	Ability to provide polarised electrons/positrons	Possibility to reconfigure as $\gamma\gamma$, $e\gamma$, e^-e^- , ep, pp collider	Opportunities for beam dumps experiments

T17

Need for, and scientific utility of, technology demonstrators

Z-Factories are great Flavour Factories

Working point	Lumi. / IP [$10^{34} \text{ cm}^{-2} \cdot \text{s}^{-1}$]	Total lumi. (2 IPs)	Run time	Physics goal
Z first phase	100	26 ab^{-1} /year	2	
Z second phase	200	52 ab^{-1} /year	2	150 ab^{-1}

Particle production (10^9)	B^0 / \bar{B}^0	B^+ / B^-	B_s^0 / \bar{B}_s^0	$\Lambda_b / \bar{\Lambda}_b$	$c\bar{c}$	τ^- / τ^+
Belle II	27.5	27.5	n/a	n/a	65	45
FCC- ee	300	300	80	80	600	150

Decay mode/Experiment	Belle II (50/ab)	LHCb Run I	LHCb Upgr. (50/fb)	FCC- ee
EW/H penguins				
$B^0 \rightarrow K^*(892)e^+e^-$	~ 2000	~ 150	~ 5000	~ 200000
$\mathcal{B}(B^0 \rightarrow K^*(892)\tau^+\tau^-)$	~ 10	–	–	~ 1000
$B_s \rightarrow \mu^+\mu^-$	n/a	~ 15	~ 500	~ 800
$B^0 \rightarrow \mu^+\mu^-$	~ 5	–	~ 50	~ 100
$\mathcal{B}(B_s \rightarrow \tau^+\tau^-)$				
Leptonic decays				
$B^+ \rightarrow \mu^+\nu_{mu}$	5%	–	–	3%
$B^+ \rightarrow \tau^+\nu_{tau}$	7%	–	–	2%
$B_c^+ \rightarrow \tau^+\nu_{tau}$	n/a	–	–	5%
CP / hadronic decays				
$B^0 \rightarrow J/\Psi K_S (\sigma_{\sin(2\phi_d)})$	$\sim 2 \cdot 10^6 (0.008)$	41500 (0.04)	$\sim 0.8 \cdot 10^6 (0.01)$	$\sim 35 \cdot 10^6 (0.006)$
$B_s \rightarrow D_s^\pm K^\mp$	n/a	6000	~ 200000	$\sim 30 \cdot 10^6$
$B_s(B^0) \rightarrow J/\Psi\phi (\sigma_{\phi_s} \text{ rad})$	n/a	96000 (0.049)	$\sim 2 \cdot 10^6 (0.008)$	$16 \cdot 10^6 (0.003)$

See S. Monteil, Flavour@FCC'22

out of reach at LHCb/Belle

boosted b's/ τ 's at FCC- ee

Makes possible a topological rec. of the decays w/ miss. energy

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Belle II	27.5	27.5	n/a	n/a	65	45

150

Flavour @ FCC vs Belle/pp

Attribute	$\Upsilon(4S)$	pp	Z^0
All hadron species		✓	✓
High boost		✓	✓
Enormous production cross-section		✓	
Negligible trigger losses	✓		✓
Low backgrounds	✓		✓
Initial energy constraint	✓		(✓)

See S. Monteil, Flavour@FCC'22

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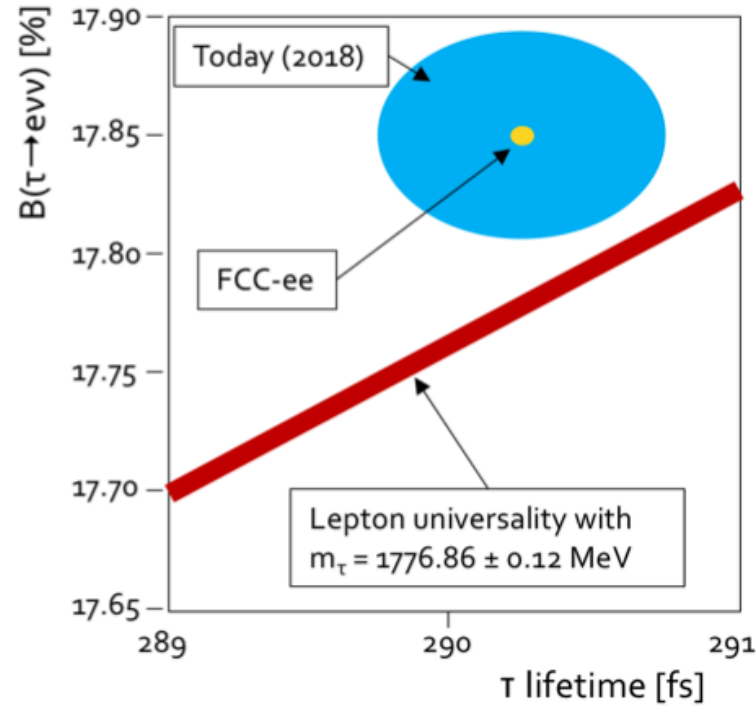
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Probing New Physics w/ τ Decays

“3 more tau’s than at Belle II”

Allwicher, Isidori, Semilovic '21

$$\left| \frac{g_e^{(\tau)}}{g_e^{(\mu)}} \right|^2 \equiv \frac{\Gamma(\tau \rightarrow e\nu\bar{\nu})}{\Gamma(\mu \rightarrow e\nu\bar{\nu})} \left[\frac{\Gamma_{\text{SM}}(\tau \rightarrow e\nu\bar{\nu})}{\Gamma_{\text{SM}}(\mu \rightarrow e\nu\bar{\nu})} \right]^{-1}$$

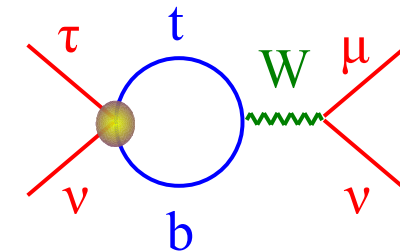
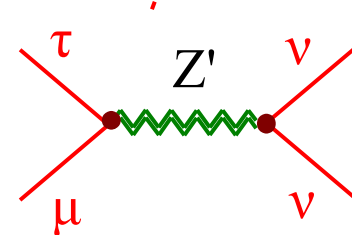


sensitivity good enough to probe BSM models “explaining” current flavour R_K anomalies ($b \rightarrow c\tau\nu$)

E.g.: (I) LFU tests in tau decays aka measurement of GF with taus

A. Pich '13

	$\Gamma_{\tau \rightarrow \mu} / \Gamma_{\tau \rightarrow e}$	$\Gamma_{\pi \rightarrow \mu} / \Gamma_{\pi \rightarrow e}$	$\Gamma_{K \rightarrow \mu} / \Gamma_{K \rightarrow e}$	$\Gamma_{K \rightarrow \pi\mu} / \Gamma_{K \rightarrow \pi e}$	$\Gamma_{W \rightarrow \mu} / \Gamma_{W \rightarrow e}$
$ g_\mu / g_e $	1.0018 (14)	1.0021 (16)	0.9978 (20)	1.0010 (25)	0.996 (10)
	$\Gamma_{\tau \rightarrow e} / \Gamma_{\mu \rightarrow e}$	$\Gamma_{\tau \rightarrow \pi} / \Gamma_{\pi \rightarrow \mu}$	$\Gamma_{\tau \rightarrow K} / \Gamma_{K \rightarrow \mu}$	$\Gamma_{W \rightarrow \tau} / \Gamma_{W \rightarrow \mu}$	
$ g_\tau / g_\mu $	1.0011 (15)	0.9962 (27)	0.9858 (70)	1.034 (13)	
	$\Gamma_{\tau \rightarrow \mu} / \Gamma_{\mu \rightarrow e}$	$\Gamma_{W \rightarrow \tau} / \Gamma_{W \rightarrow e}$			
$ g_\tau / g_e $	1.0030 (15)	1.031 (13)			



“Model-independent” effect linked to present anomalies

- NP expectation from current anomalies in the range $(0.2 - 4.0) \times 10^{-3}$
- SM theory precision $\sim 10^{-5}$
- Belle-II can (at most) reach an error $\sim 0.3 \times 10^{-3}$
- FCC-ee could go below 10^{-4} !

Unique opportunity !

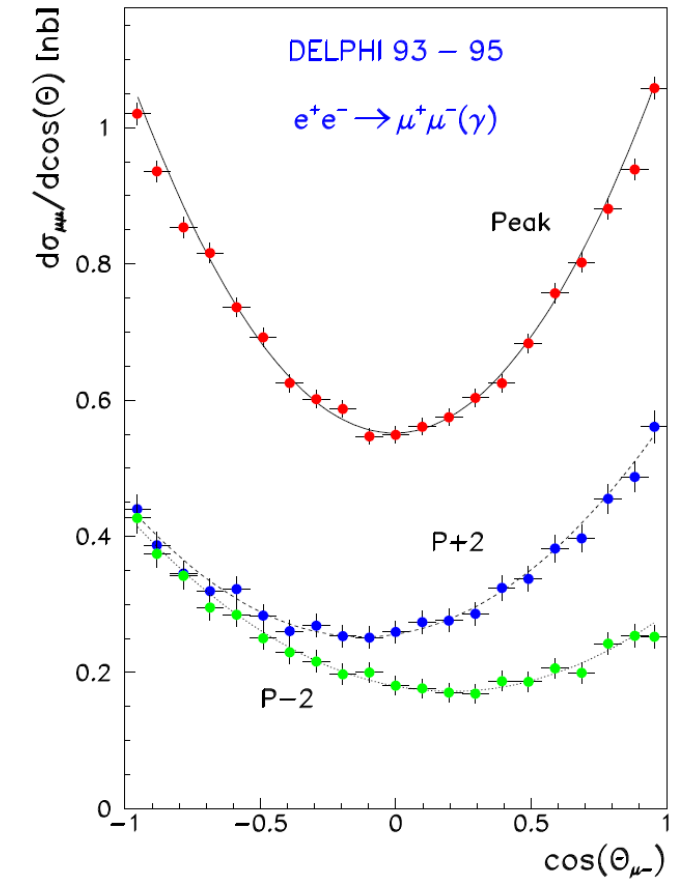
Example of EW measurements @ Tera Z

Excellent experimental control of off-peak di-muon asymmetry motivates campaign to collect 50-80 ab⁻¹ off peak to gain highest sensitivity to Z-γ interference

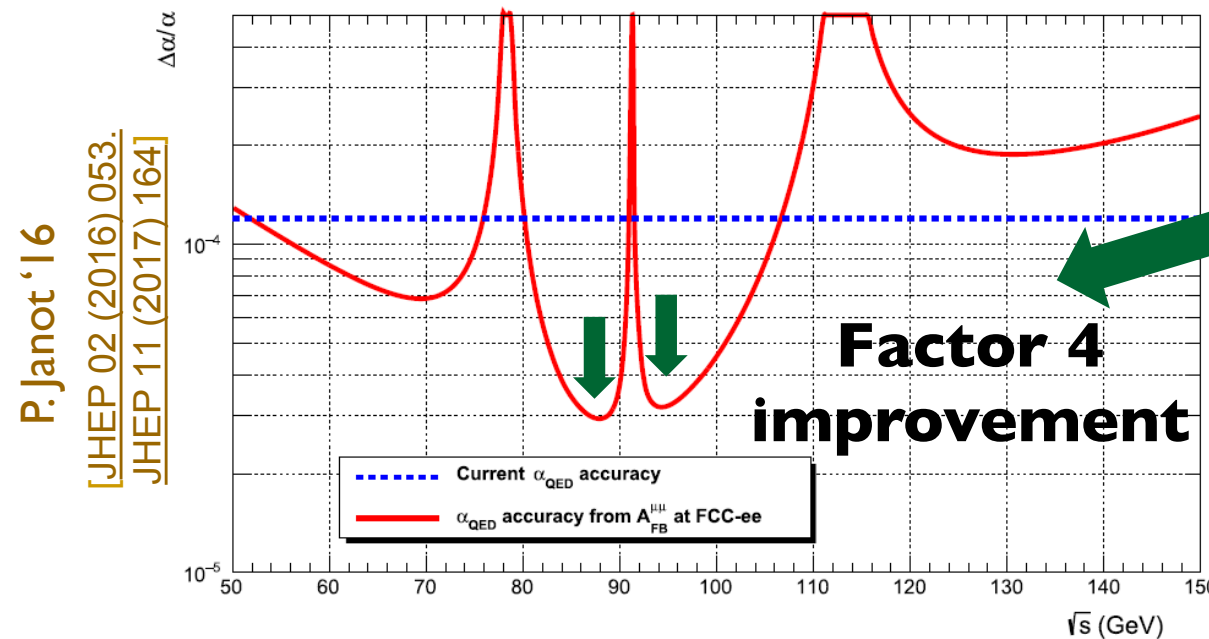
strongly depends on √s
direct measurement of α_{QED}(s) at √s ≠ m_Z
 measure sin²θ_W to high precision

$$A_{FB}^{\mu\mu}(s) \simeq \frac{3}{4} \mathcal{A}_e \mathcal{A}_\mu \times \left[1 + \frac{8\pi \sqrt{2} \alpha_{QED}(s)}{m_Z^2 G_F (1 - 4 \sin^2 \theta_W^{eff})^2} \frac{s - m_Z^2}{2s} \right]$$

Allows for clean determination of α_{QED}(m_Z²), which is a *critical* input for m_W closure tests (see later).



relative α_{QED} uncertainty with 80 ab⁻¹



This dependence, & location of half-integer spin tunes, guides the choice of off-peak energies: 87.8 & 93.9 GeV.

- Measure α_{QED}(m_Z²) to 3x10⁻⁵ rel. precision (currently 1.1x10⁻⁴)
- Stat. dominated; syst. uncertainties < 10⁻⁵ (dominated by √s calib)
- Theoretical uncertainties ~ 10⁻⁴, higher order calcs needed

Example of EW measurements @ Tera Z

Z → μμ forward/backward asymmetry also used to measure ewk mixing angle $\sin^2\theta_W$ at Z-pole = 91.2 GeV:

$$A_{FB}^{\mu\mu}(s) \simeq \frac{3}{4} \mathcal{A}_e \mathcal{A}_\mu \longrightarrow \mathcal{A}_e = \frac{g_{L,e}^2 - g_{R,e}^2}{g_{L,e}^2 + g_{R,e}^2} = \frac{2v_e/a_e}{1 + (v_e/a_e)^2}, \text{ with } v_e/a_e \equiv 1 - 4 \sin^2 \theta_W^{\text{eff}}$$

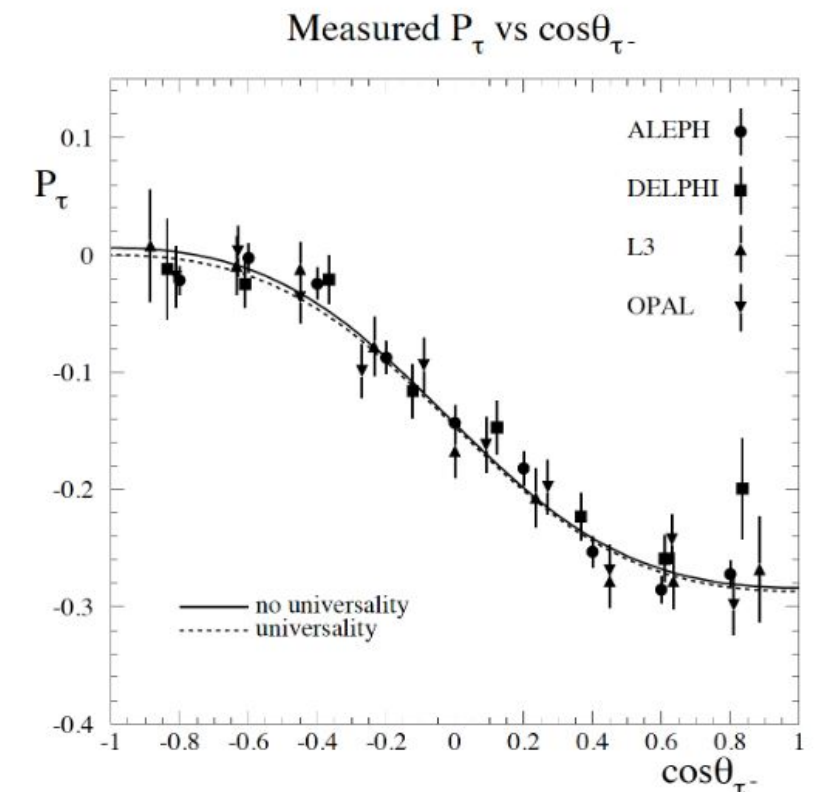
$$\Delta A_{FB}^{\mu\mu}(s) \sim 3 \times 10^{-6} \text{ (stat)} + 4 \times 10^{-6} \text{ (syst)}$$

- Measure $\sin^2\theta_W$ to 3×10^{-6} abs. precision (currently 1.6×10^{-4})
- Assumes lepton universality: $A_e = A_\mu$
- Mainly dominated by energy calibration (point-to-point)

Tau polarization used to constrain the mixing angle to a similar precision

- No assumption on lepton universality (direct separation A_e and A_τ)
- A_τ from P_τ : benefit from high statistics and very robust measurement

$$P_\tau(\cos\theta) = \frac{A_{pol}(1 + \cos^2\theta) + \frac{8}{3}A_{pol}^{FB} \cos\theta}{(1 + \cos^2\theta) + \frac{8}{3}A_{FB} \cos\theta} \longrightarrow P_\tau \equiv \frac{\sigma(\tau_R) - \sigma(\tau_L)}{\sigma(\tau_R) + \sigma(\tau_L)} \simeq -2(1 - 4 \sin^2\theta_W)$$



Example of EW measurements @ Tera Z

→ **Mass** ± 4 keV (stat) ± 100 keV (syst) [LEP 2.1 MeV]

- Systematics limited due to beam calibration uncertainties (RDP ~ 100 keV)

→ **Width** ± 4 keV (stat) ± 25 keV (syst) [LEP 2.3 MeV]

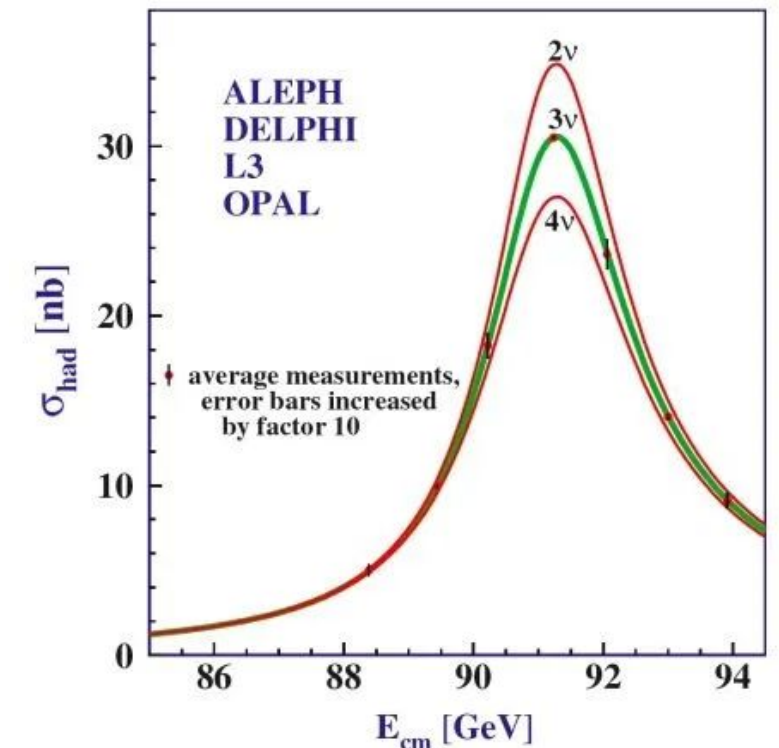
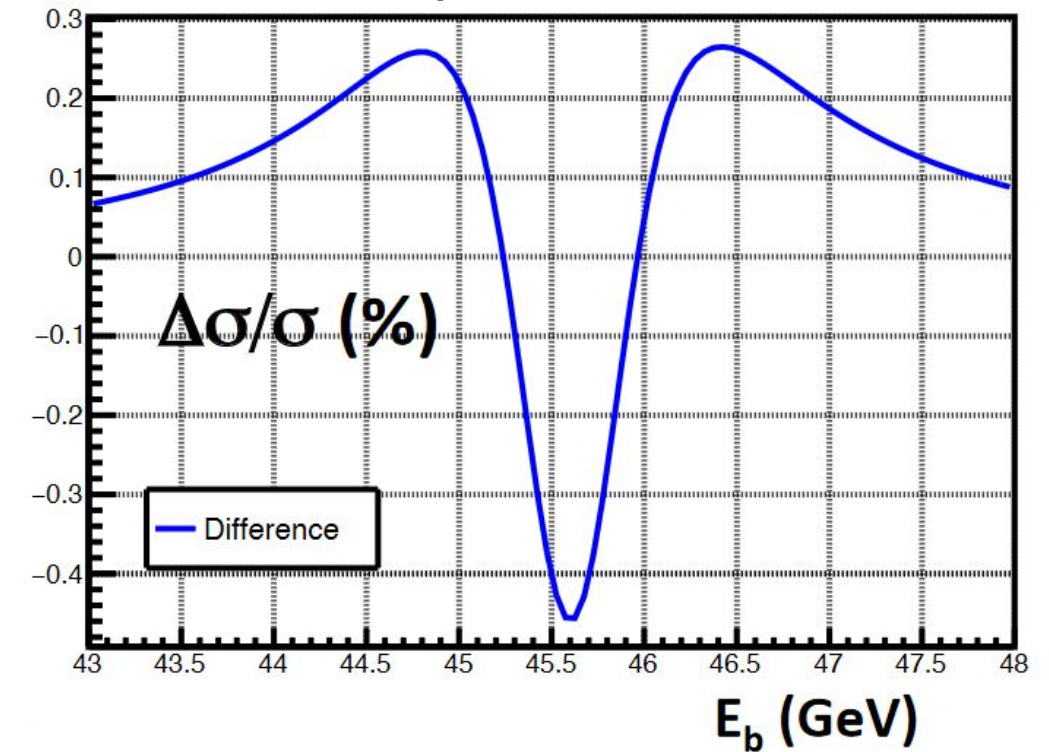
- Systematics dominated by:
 - Relative (point-to-point) uncertainty on the $\sqrt{s} \sim 22$ keV
 - Impact on beam-energy spread uncertainty ~ 10 keV
 - Absolute uncertainty on BES ~ 84 MeV
 - Constrained using $e^+e^- \rightarrow \mu^+\mu^-(\gamma)$ events:
 - Constrain BES uncertainty to per-mille level
 - Taking into account asymmetric beam optics (x-angle $\alpha 30$ mrad) and γ -ISR
 - Muon angular resolution ~ 0.1 mrad required

→ **Hadronic cross-section** $\sigma_{\text{had}}^0: \pm 4$ pb [LEP 37 pb]

→ **Number of neutrino families:** 1×10^{-3} (abs) [LEP 7×10^{-3}]

- Dominated by luminosity uncertainty

Lineshape cross-section



Example of EW measurements @ Tera Z

Couplings measured from ratio of hadronic and leptonic partial widths

→ need control on detector acceptances: detector precision $\sim 10 \mu\text{m}$

	Statistical uncertainty	Systematic uncertainty
$R_\mu (R_\ell)$	10^{-6}	5×10^{-5}
R_τ	1.5×10^{-6}	10^{-4}
R_e	1.5×10^{-6}	3×10^{-4}
R_b	5×10^{-5}	3×10^{-4}
R_c	1.5×10^{-4}	15×10^{-4}

Relative stat. and syst. unc. (similar)



fermion type	g_a	g_v
e	1.5×10^{-4}	2.5×10^{-4}
μ	2.5×10^{-5}	$2. \times 10^{-4}$
τ	0.5×10^{-4}	3.5×10^{-4}
b	1.5×10^{-3}	1×10^{-3}
c	2×10^{-3}	1×10^{-3}

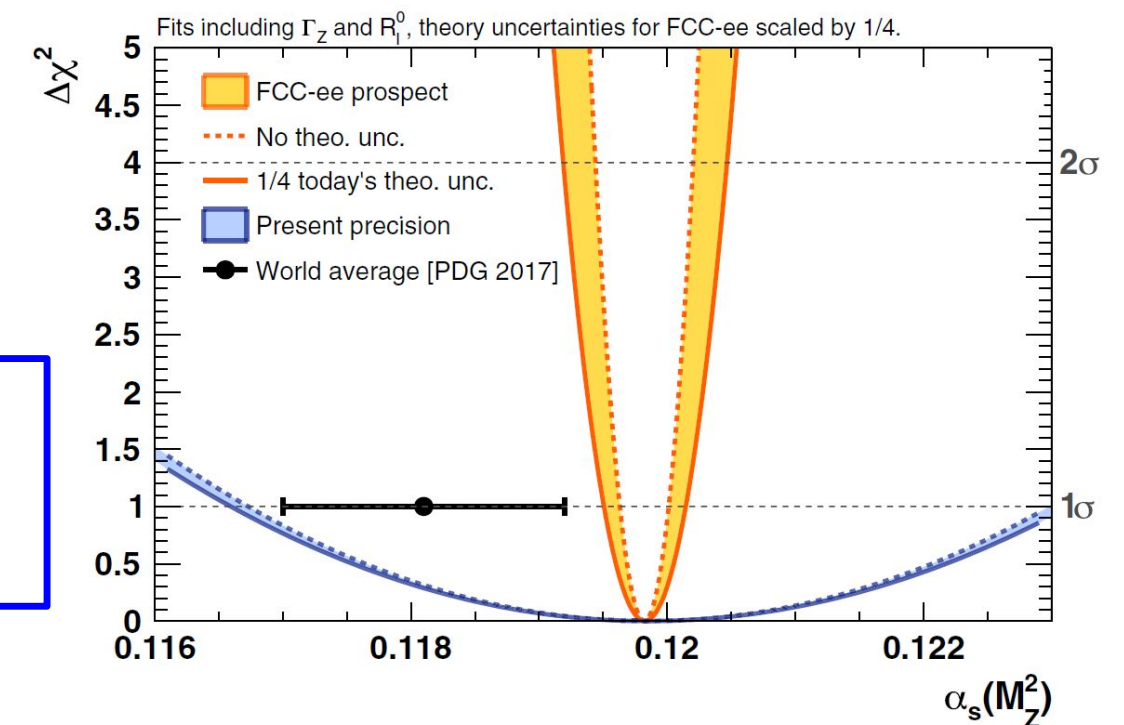
Relative unc. on couplings

1-2 orders of magnitude Improvement w.r.t. LEP

Extract strong coupling constant $\alpha_s(m_Z^2)$ using leptonic/hadronic width

ratio: $R_l = \Gamma_{\text{had}} / \Gamma_{\text{lep}}$

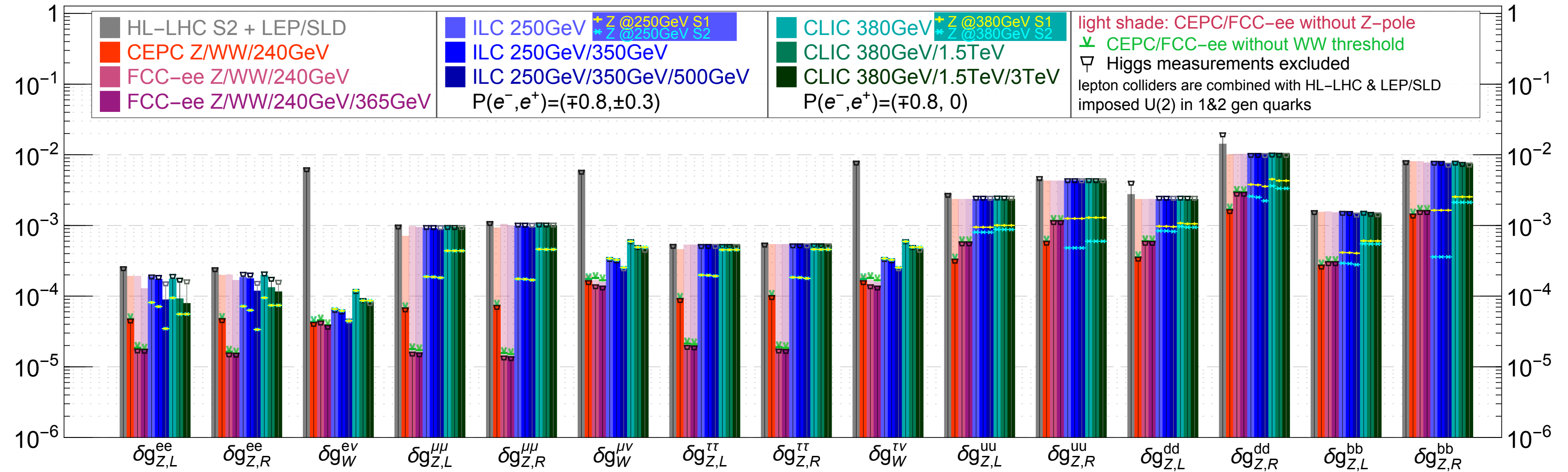
→ $\Delta\alpha_s(m_Z) \sim 1 \times 10^{-5}$ (stat) + 1.5×10^{-4} (syst) abs. (current value $\Delta\alpha_s$ 30×10^{-4})
 → Systematically dominated (acceptance)



J. Eysermans @ EPS2021

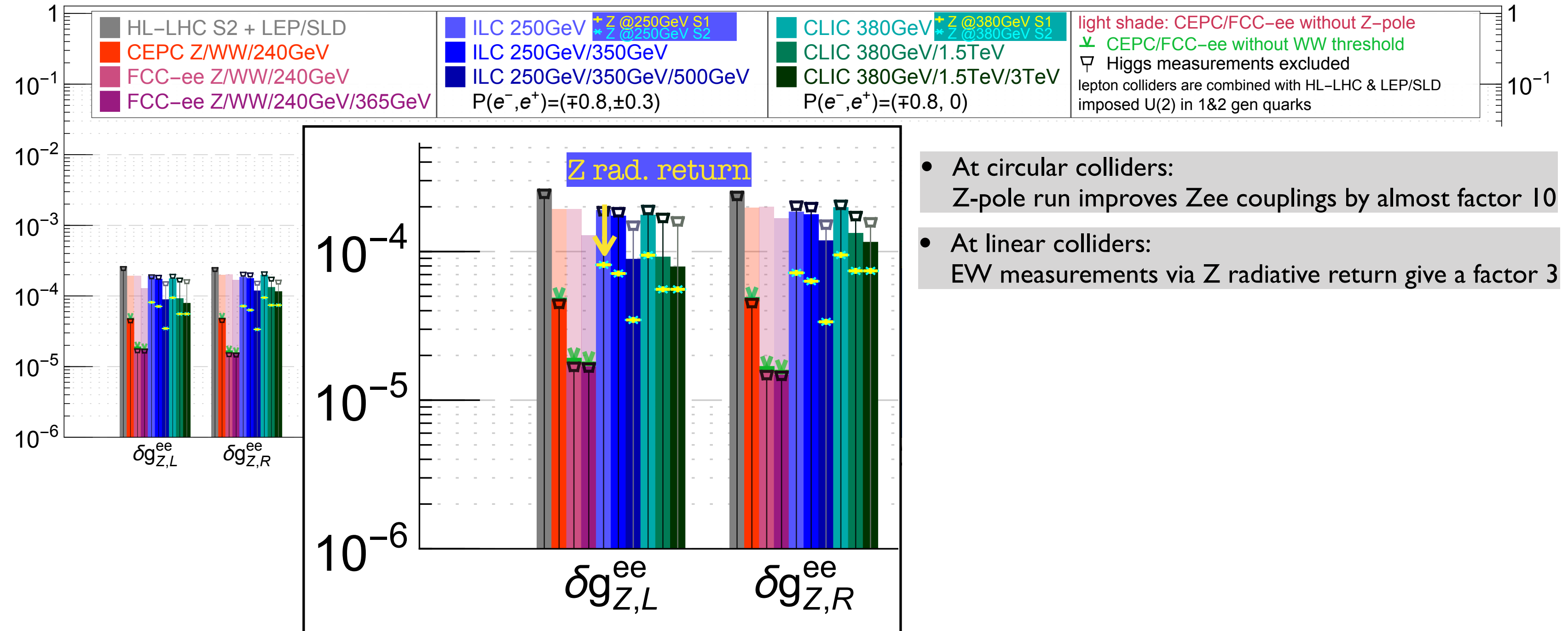
Sensitivity on EW couplings

J. De Blas, G. Durieux, C. Grojean, J. Gu, A. Paul 1907.04311



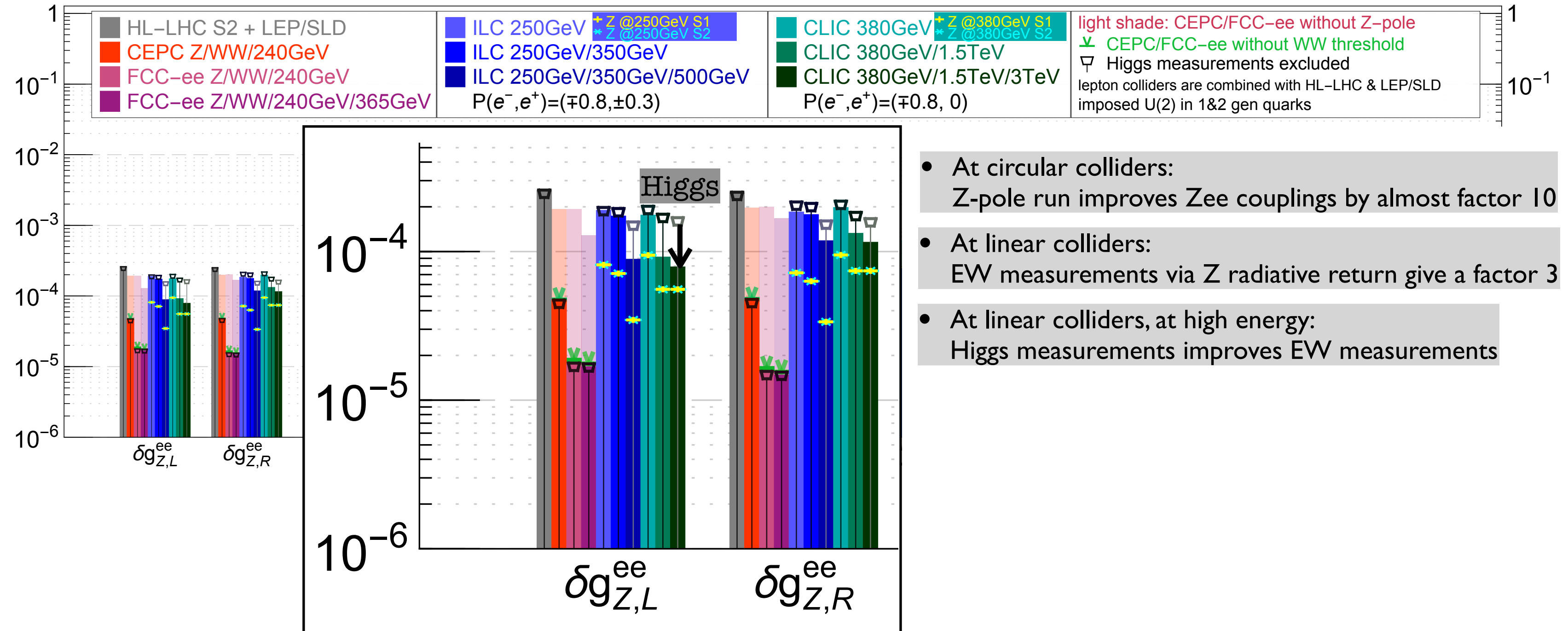
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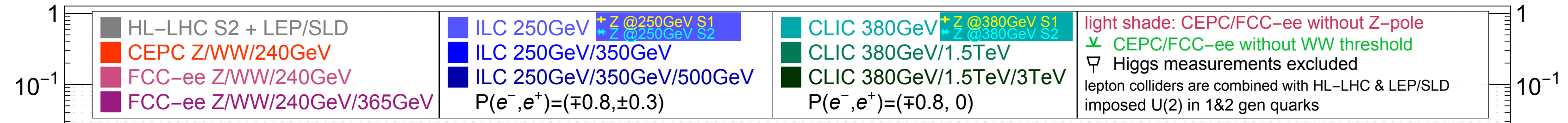
Sensitivity on EW couplings

J. De Blas, G. Durieux, C. Grojean, J. Gu, A. Paul 1907.04311

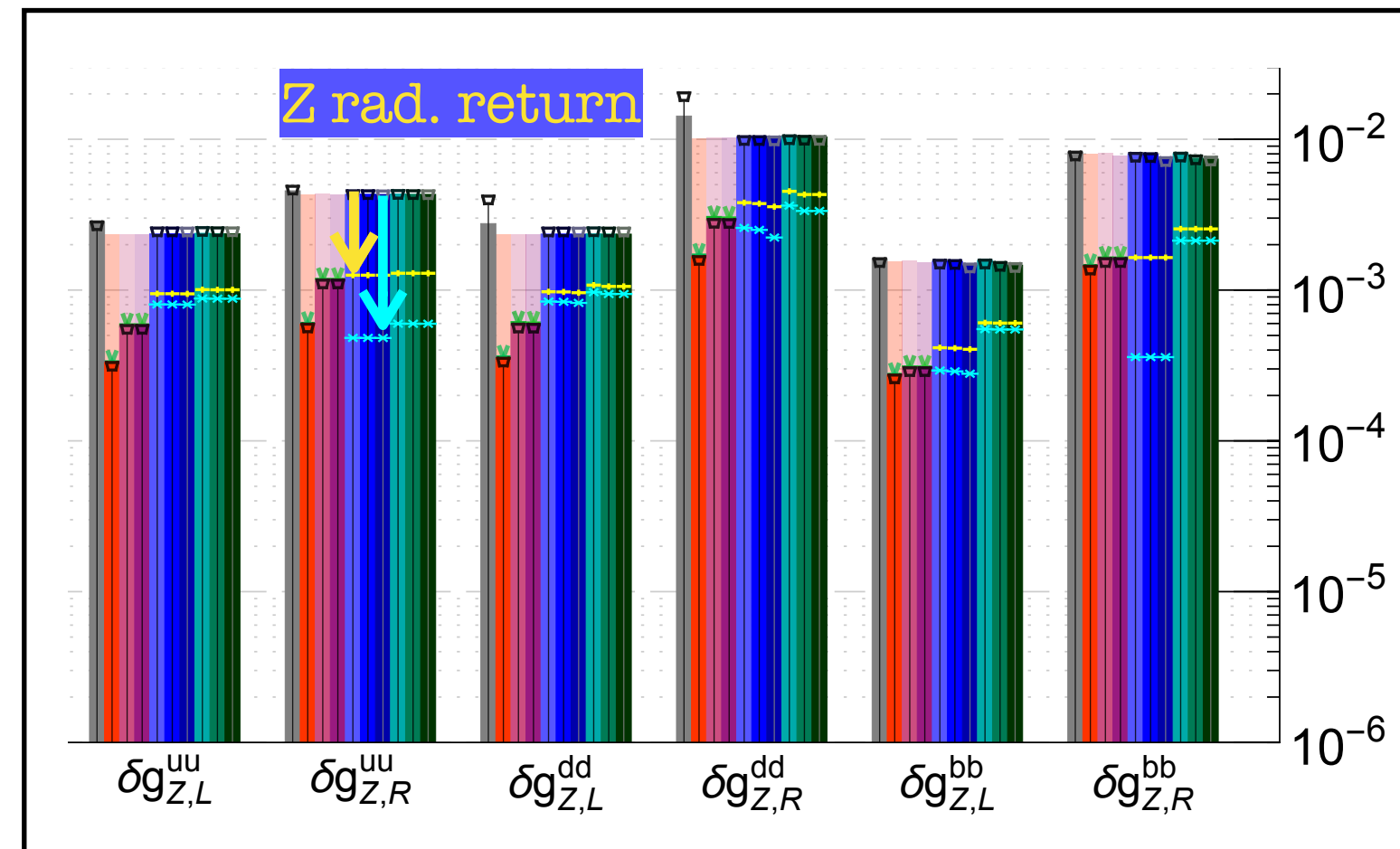


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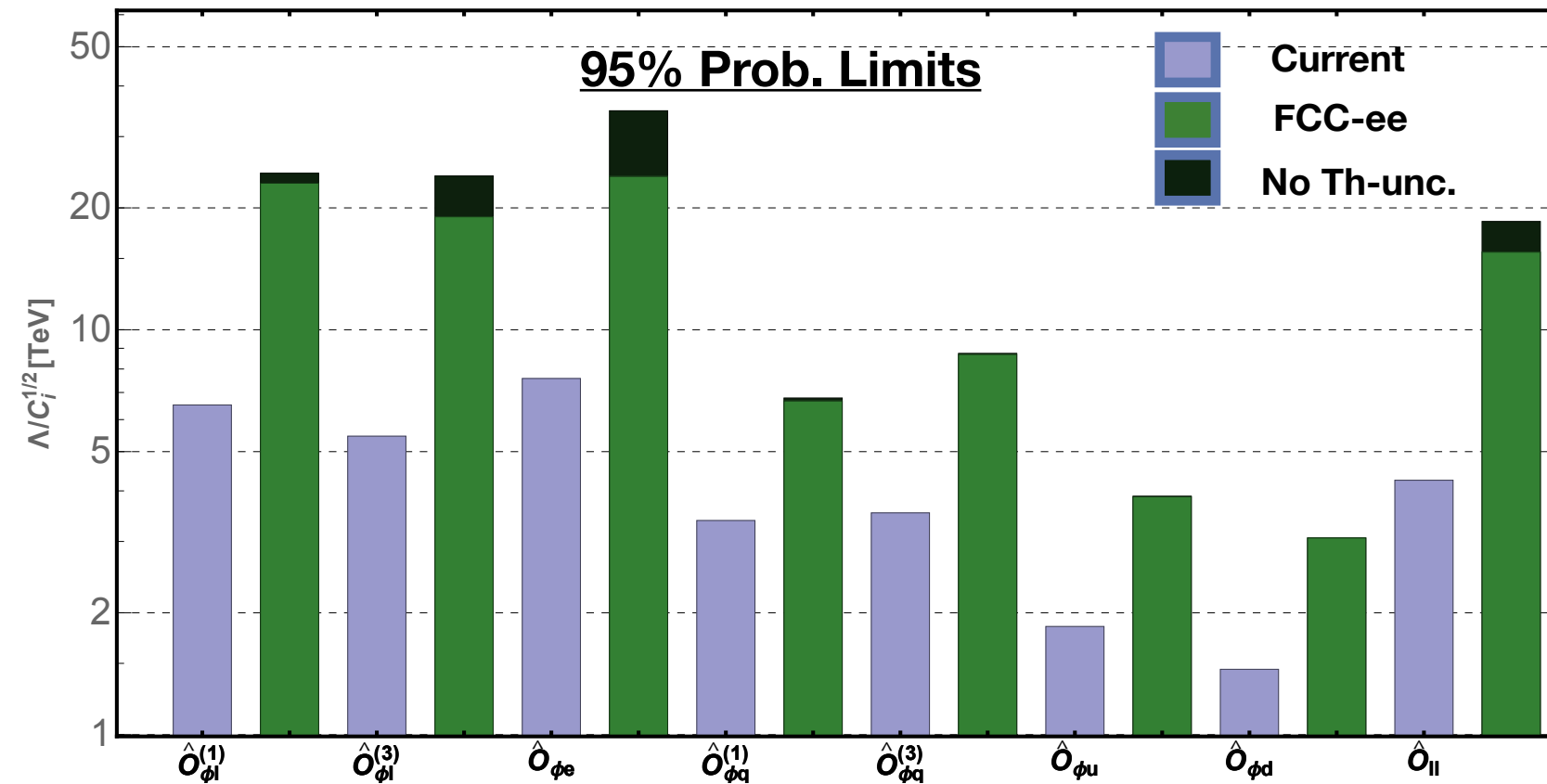


- At linear colliders, at high energy: EW measurements via Z-radiative return has a large impact on $Zq\bar{q}$ couplings
- Improvements depend a lot on hypothesis on systematic uncertainties
 - Yellow: LEP/SLD systematics / 2
 - Blue: small EXP and TH systematics



Impact of TH uncertainties

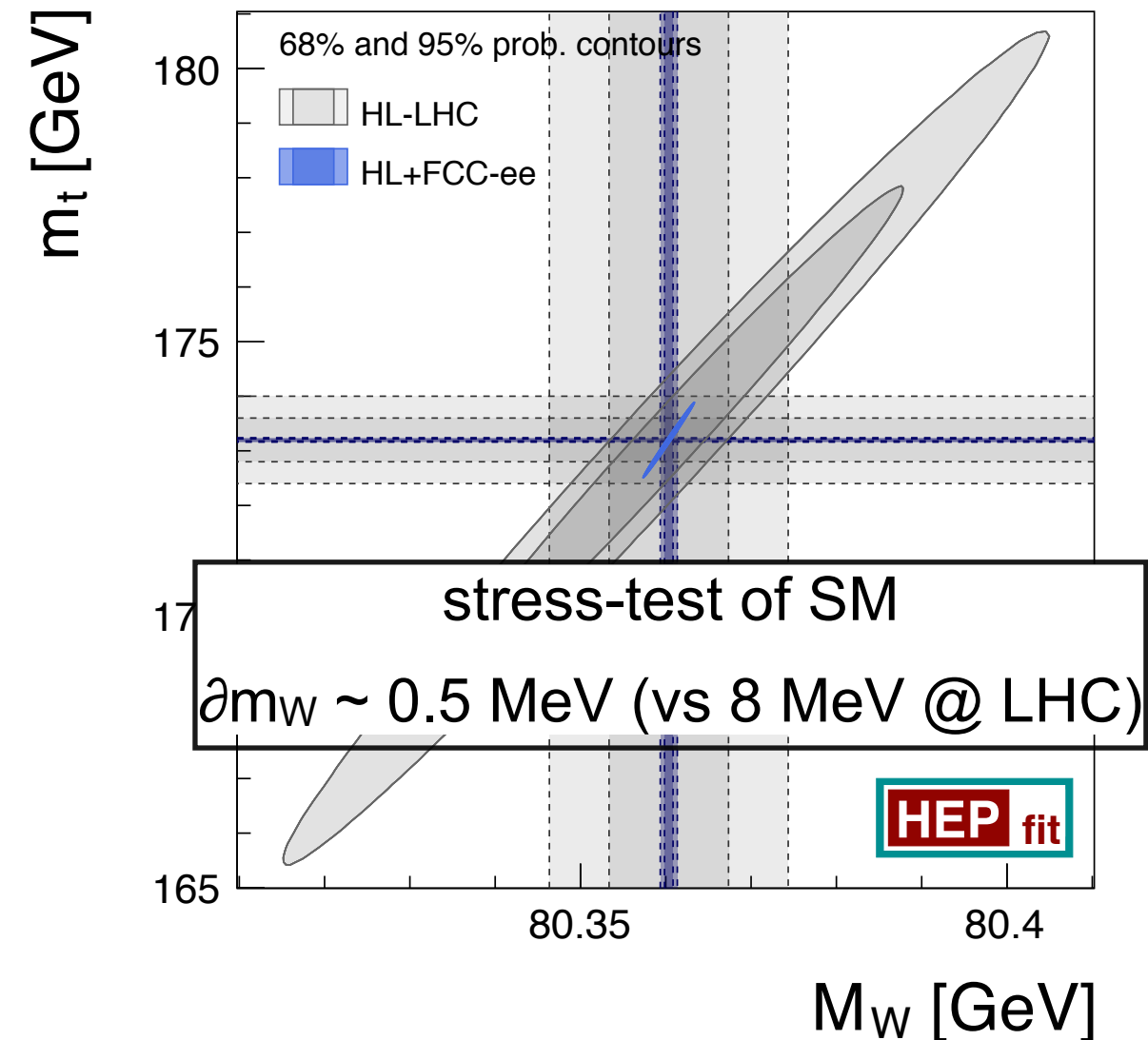
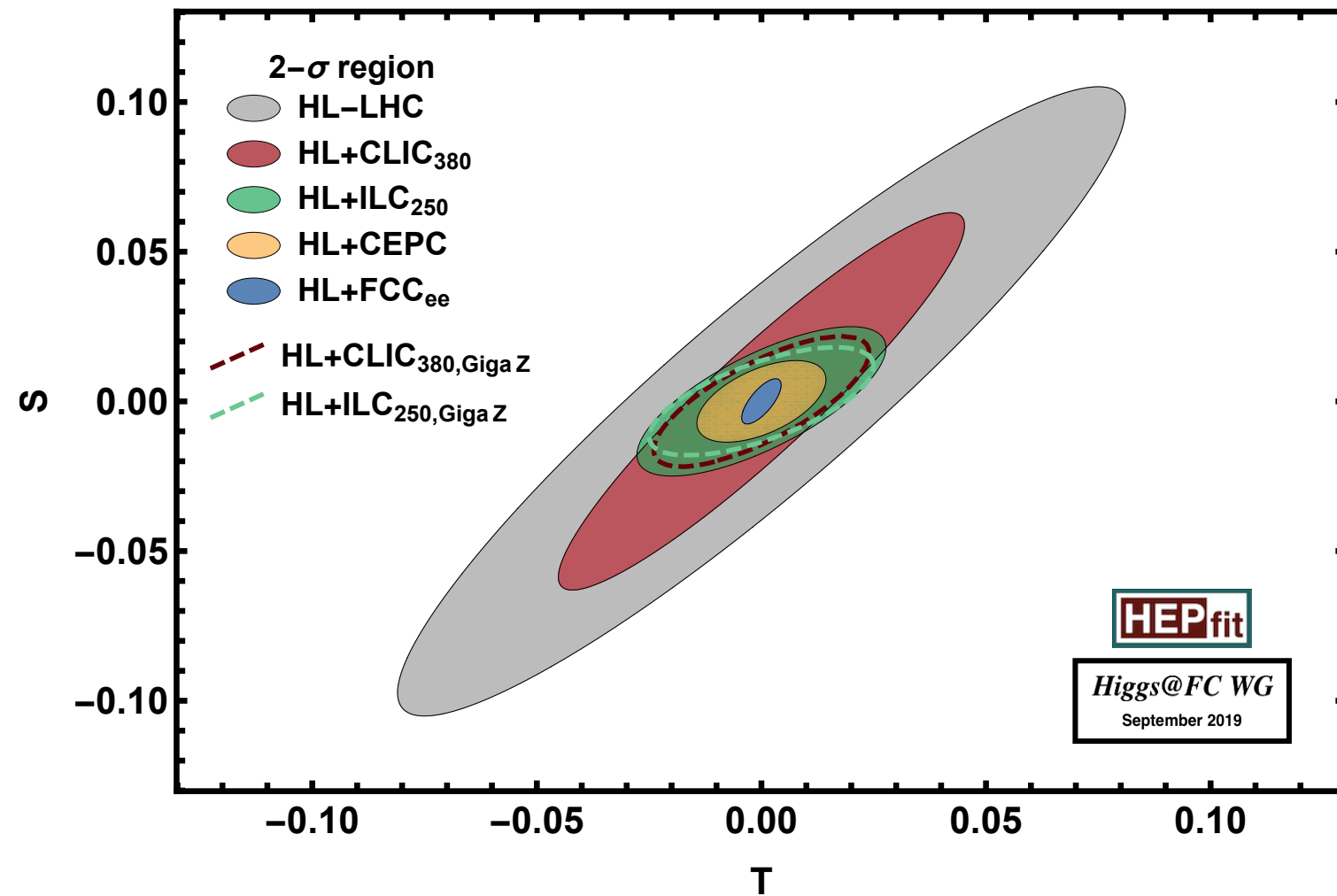
J. de Blas, FCC CDR overview '19



	Current		FCCee		
	Exp.	SM	Exp.	SM (par.)	SM (th.)
δM_W [MeV]	± 15	± 8	± 1	$\pm 0.6/\pm 1$	± 1
$\delta \Gamma_Z$ [MeV]	± 2.3	± 0.73	± 0.1	± 0.1	± 0.2
$\delta \mathcal{A}_\ell$ [$\times 10^{-5}$]	± 210	± 93	± 2.1	$\pm 8/\pm 14$	± 11.8
δR_b^0 [$\times 10^{-5}$]	± 66	± 3	± 6	± 0.3	± 5

Improvements of EW measurements

Exquisite measurements of m_Z (100 keV), Γ_Z (25 keV), m_W (<500 keV), $\alpha_{\text{QED}}(m_Z)$ ($3 \cdot 10^{-5}$) (all unique to FCC-ee)
w/. stat.+ param. + th-exp syst.

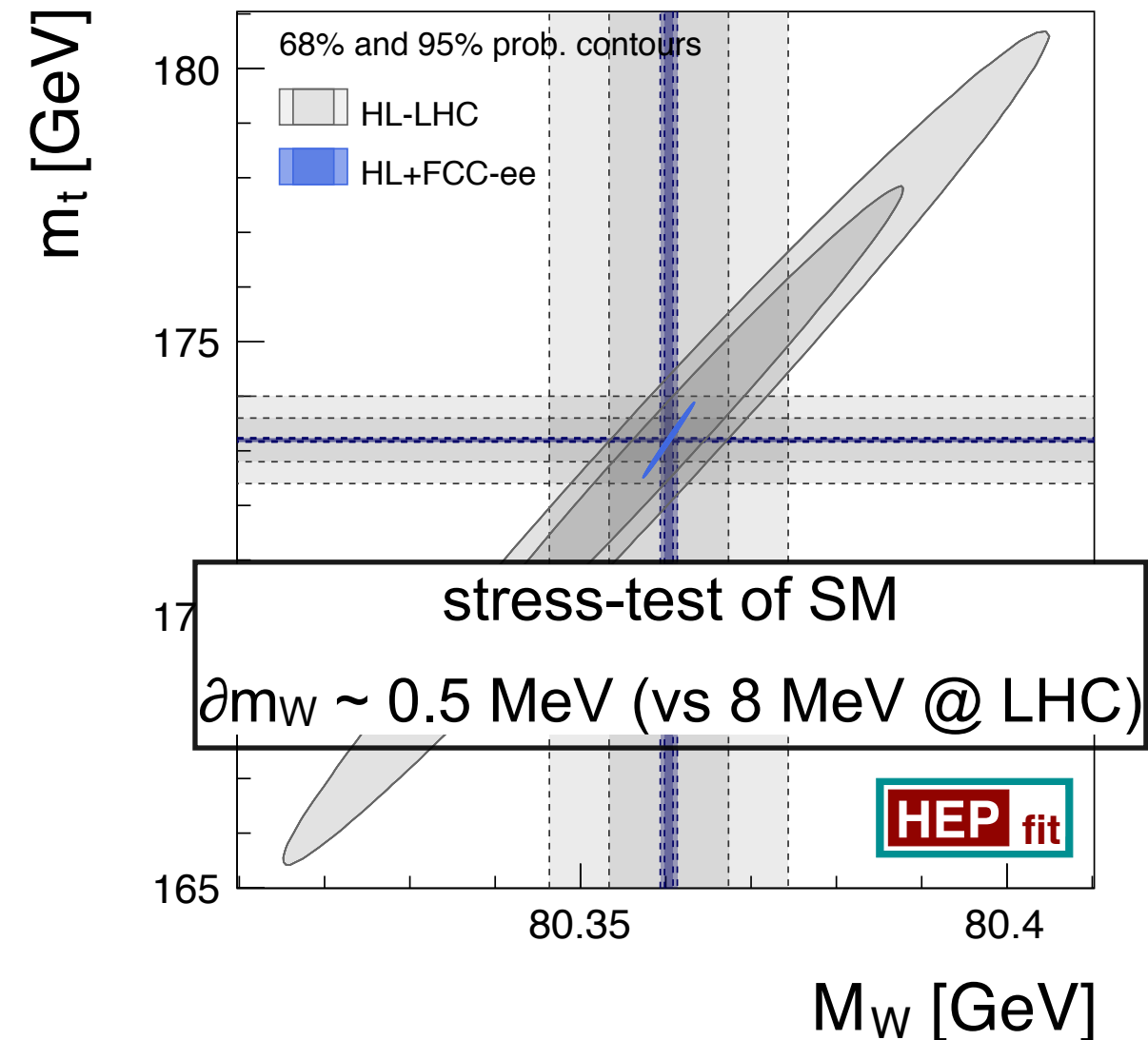
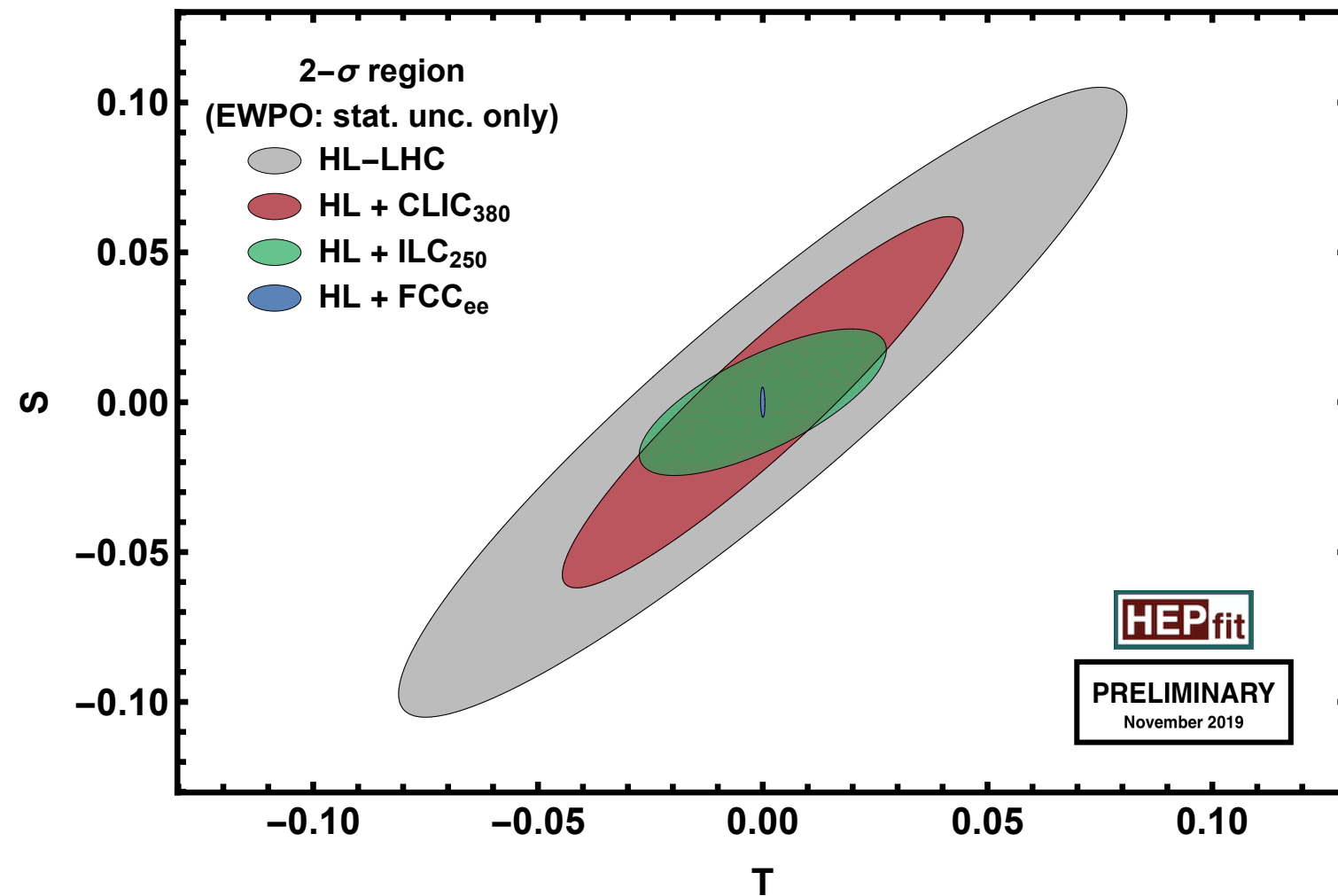


The importance of improved EW measurements is threefold:

- 1) improve mass reach in indirect search for NP ($S \sim 10^{-2} \rightarrow M \sim 70 \text{ TeV}$)
- 2) reduced parametric uncertainties for other measurements
- 3) reduced degeneracies in a global fit for Higgs couplings

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w/ stat. and param. only

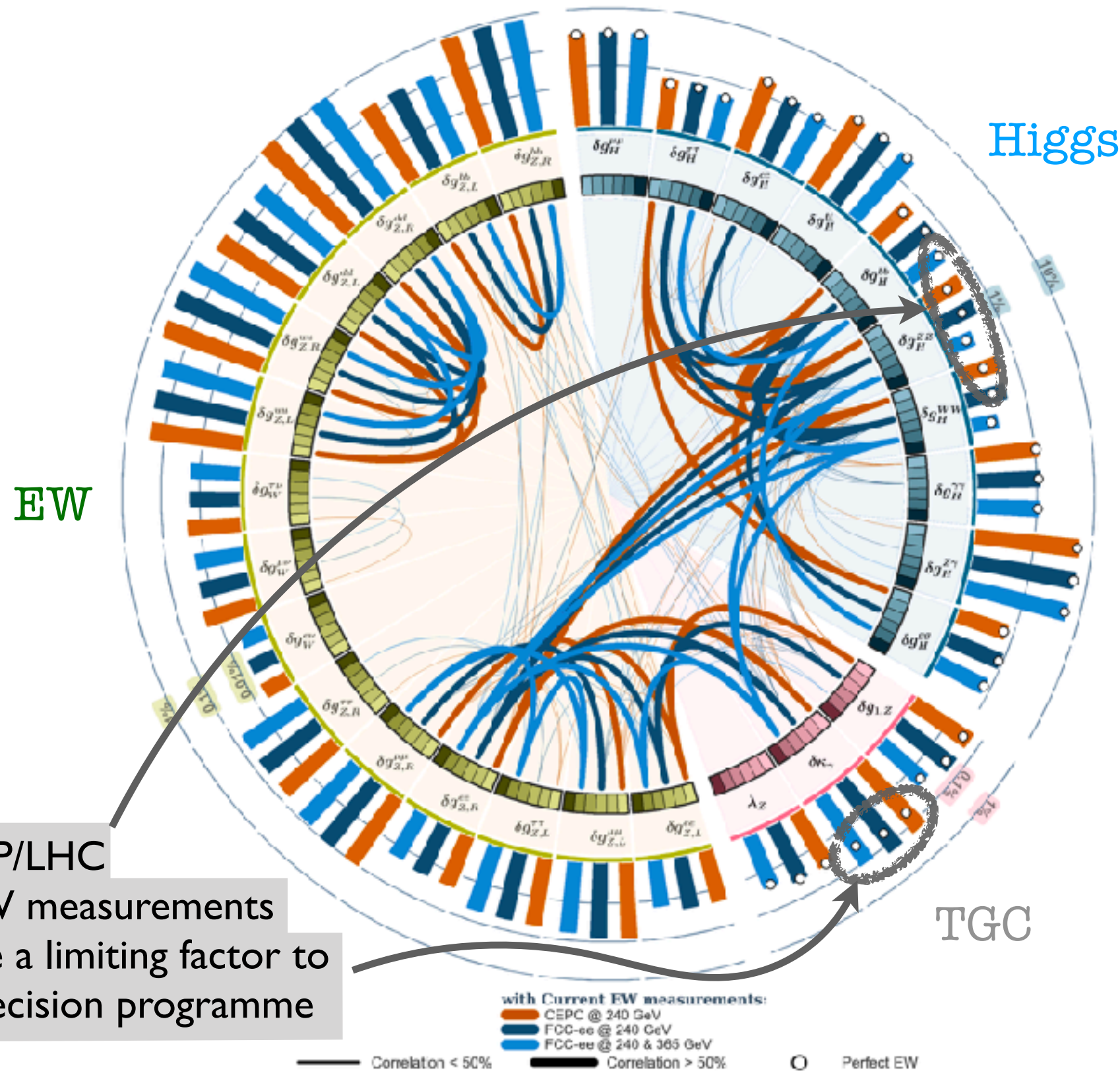


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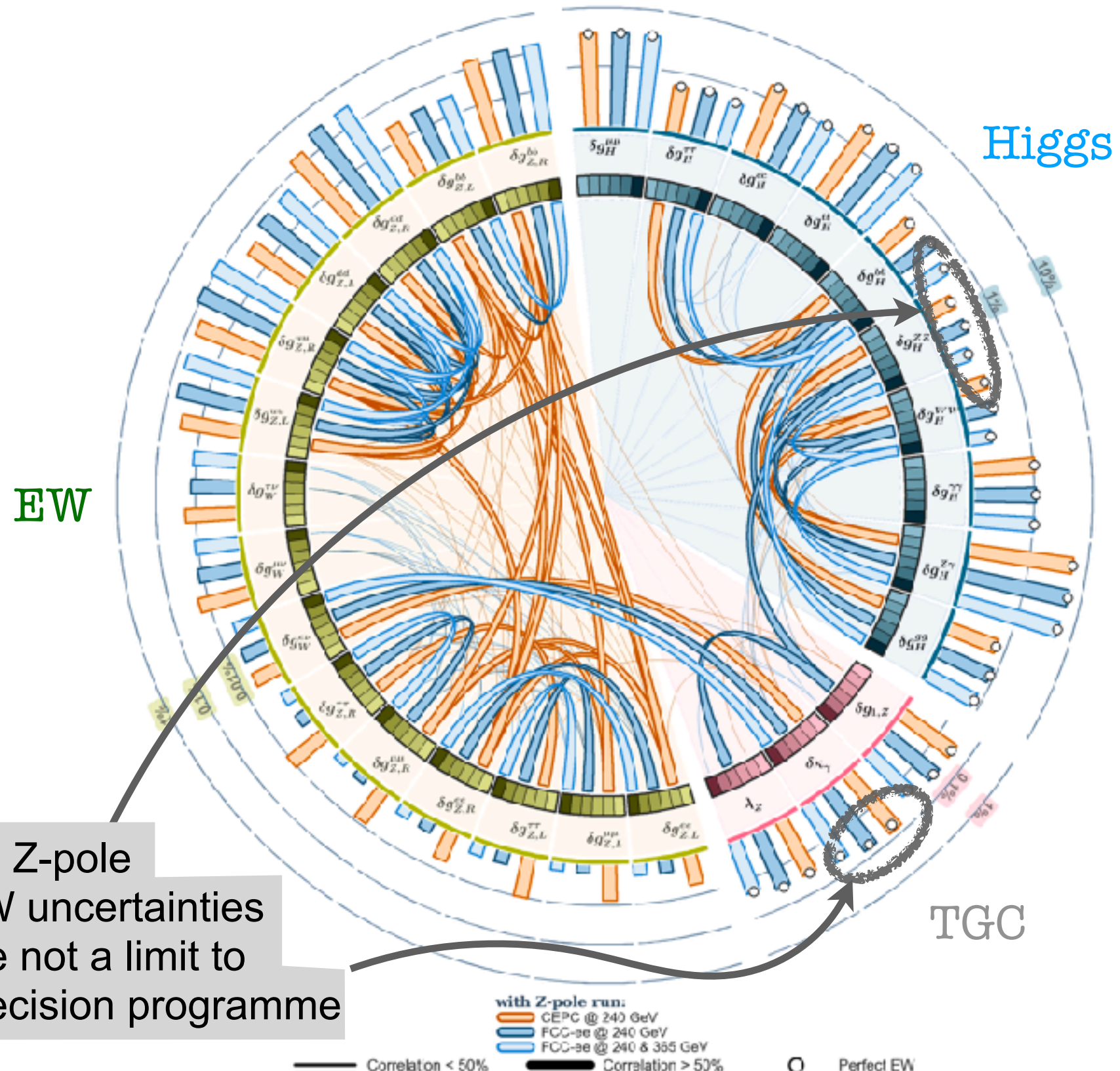
Impact of Z-pole Measurements

J. De Blas et al. 1907.04311



Impact of Z-pole Measurements

J. De Blas et al. 1907.04311



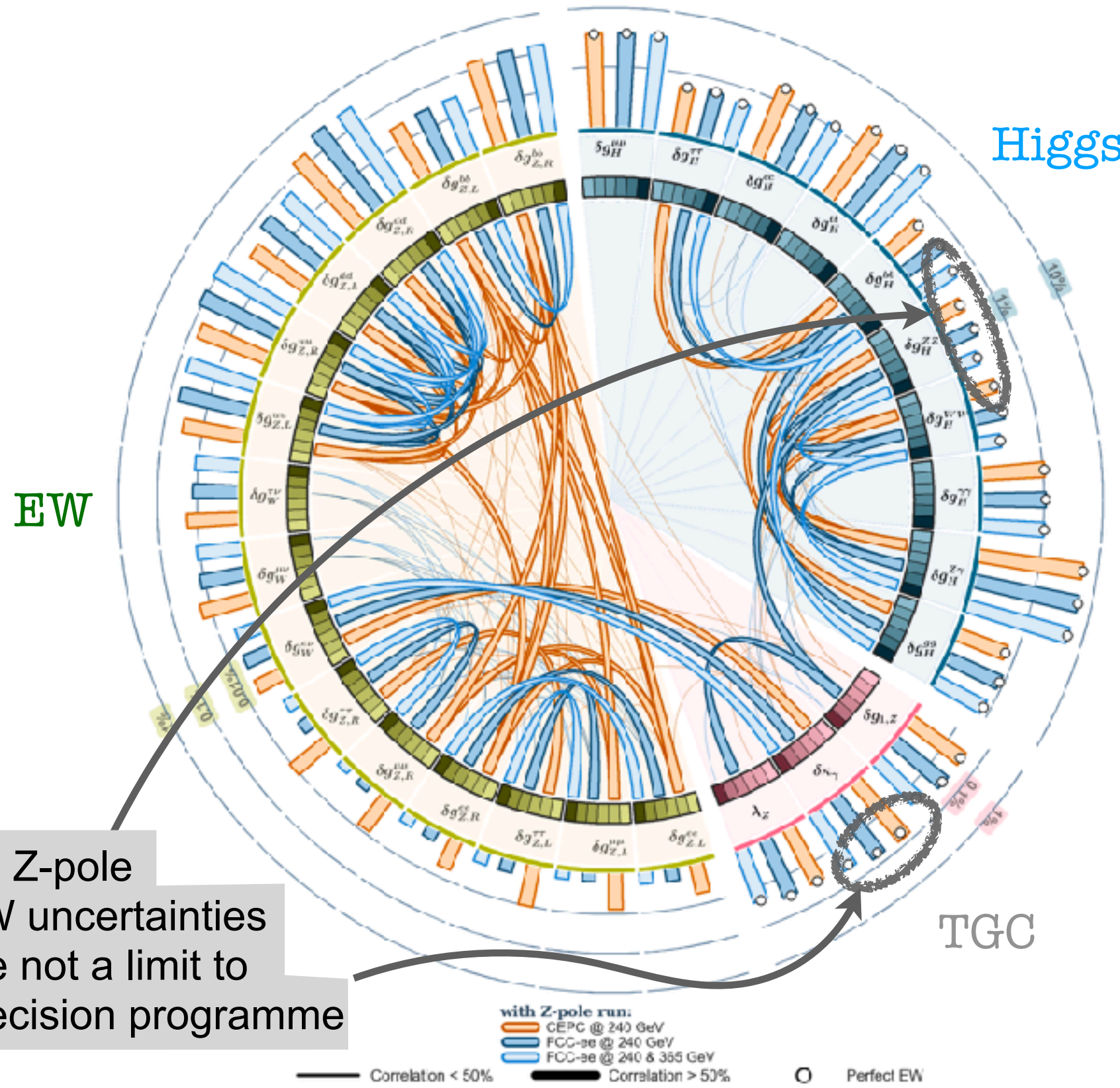
Contamination EW/TGC/Higgs can be understood by looking at correlations

With Z-pole runs, only correlations between EW and TGC remain

w/. Z-pole EW uncertainties are not a limit to precision programme

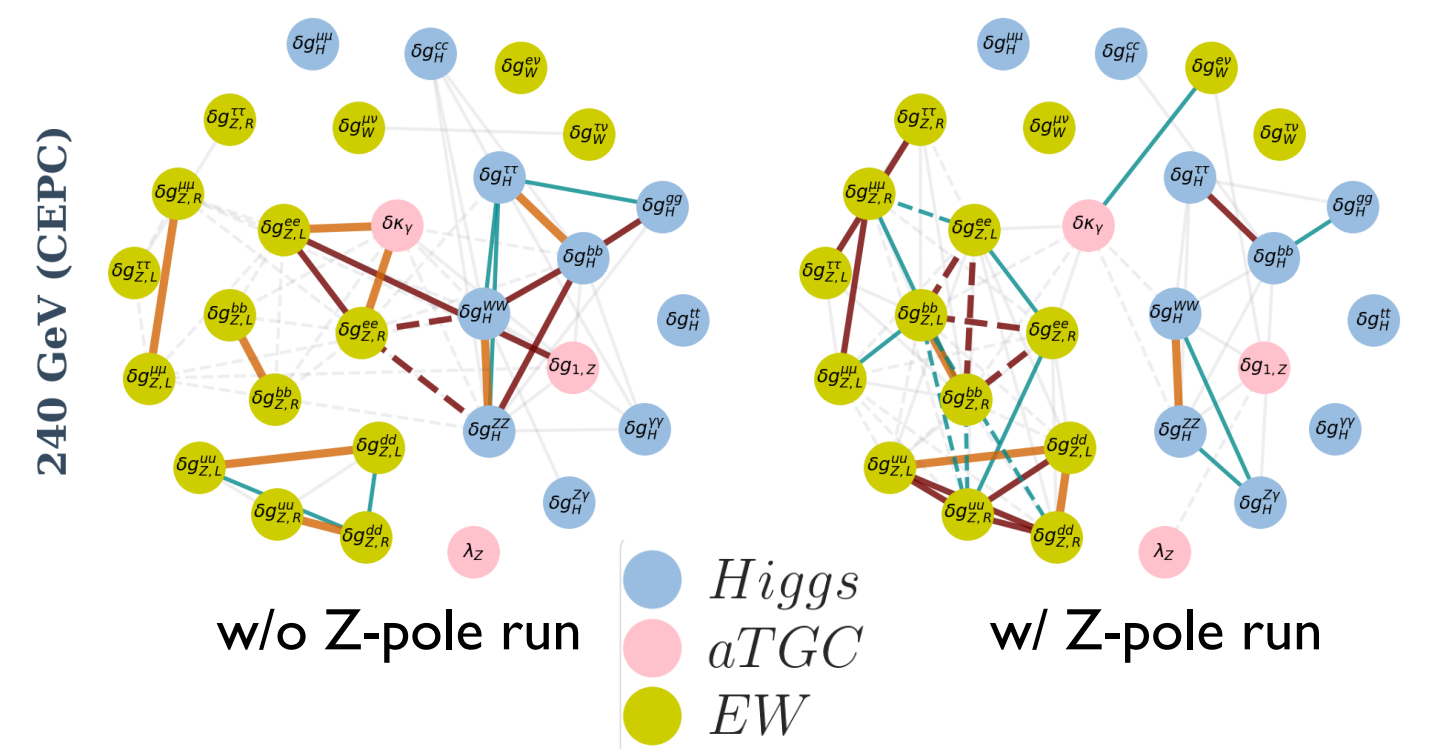
Impact of Z-pole Measurements

J. De Blas et al. 1907.04311



Contamination EW/TGC/Higgs can be understood by looking at correlations

Z-pole runs at circular colliders isolate EW and Higgs sectors from each others

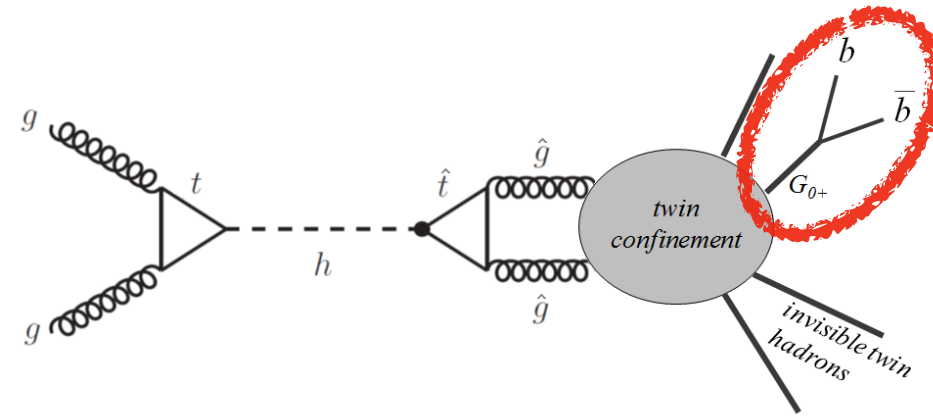


Direct Searches for Light New Physics

- **LLP searches with displaced vertices**

e.g. in twin Higgs models glueballs that mix with the Higgs and decay back to b-quarks

Craig et al, arXiv:1501.05310



- **Rare decays**

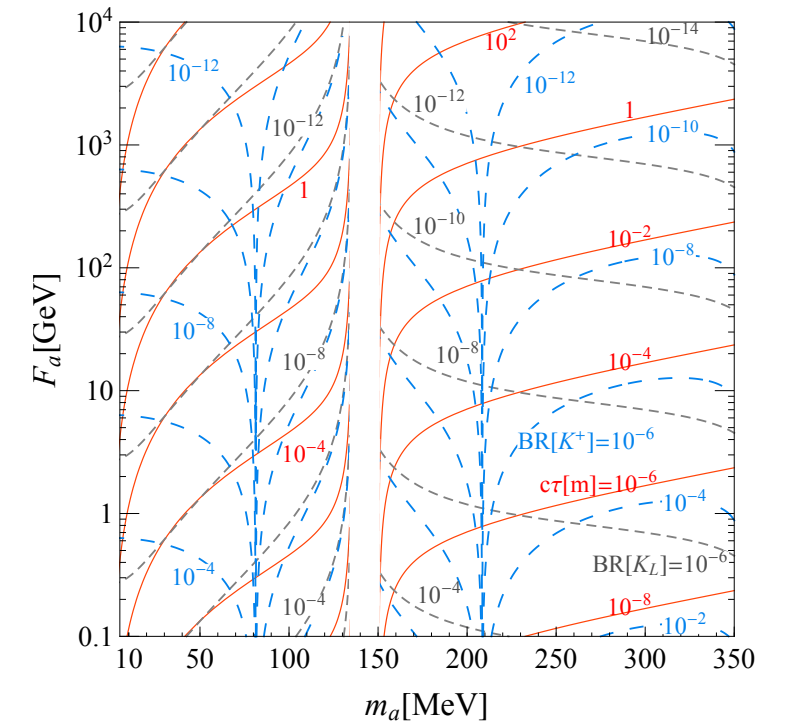
Gori et al arXiv:2005.05170

e.g. ALP mixing w/ SM mesons:

$$K_L \rightarrow \pi^0 a \rightarrow \pi^0 \gamma \gamma \text{ (KOTO)}$$

$$K^+ \rightarrow \pi^+ a \rightarrow \pi^+ \gamma \gamma \text{ (NA62)}$$

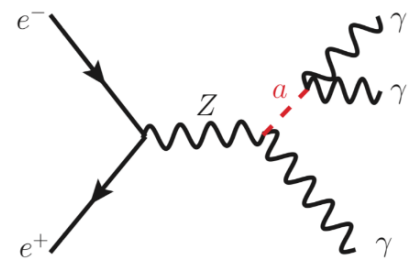
$$\mathcal{L} = \frac{\alpha_s}{8\pi F_a} a G_{\mu\nu} \tilde{G}^{\mu\nu}$$



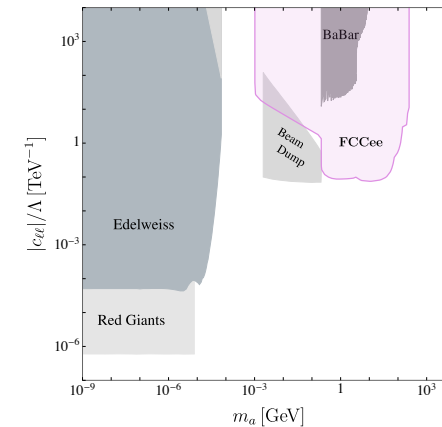
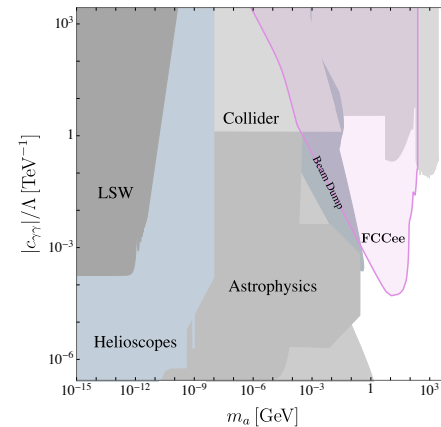
- **ALPs@ colliders**

e.g. $e^+e^- \rightarrow \gamma a$

$e^+e^- \rightarrow ha$



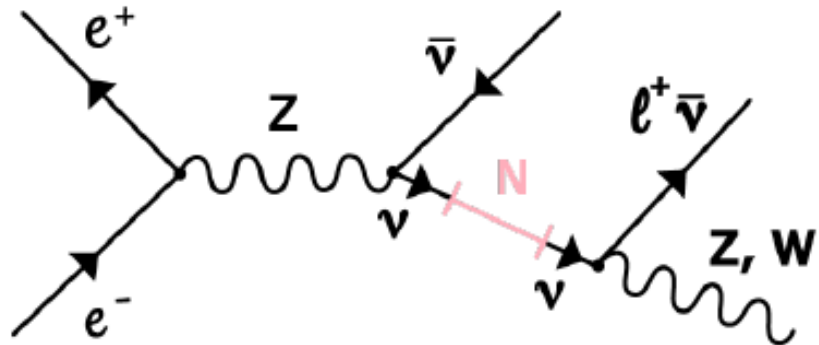
Knapen, Thamm arXiv:2108.08949



Astro/Cosmo → long-lived ALPs
colliders → short-lived ALPs MeV+

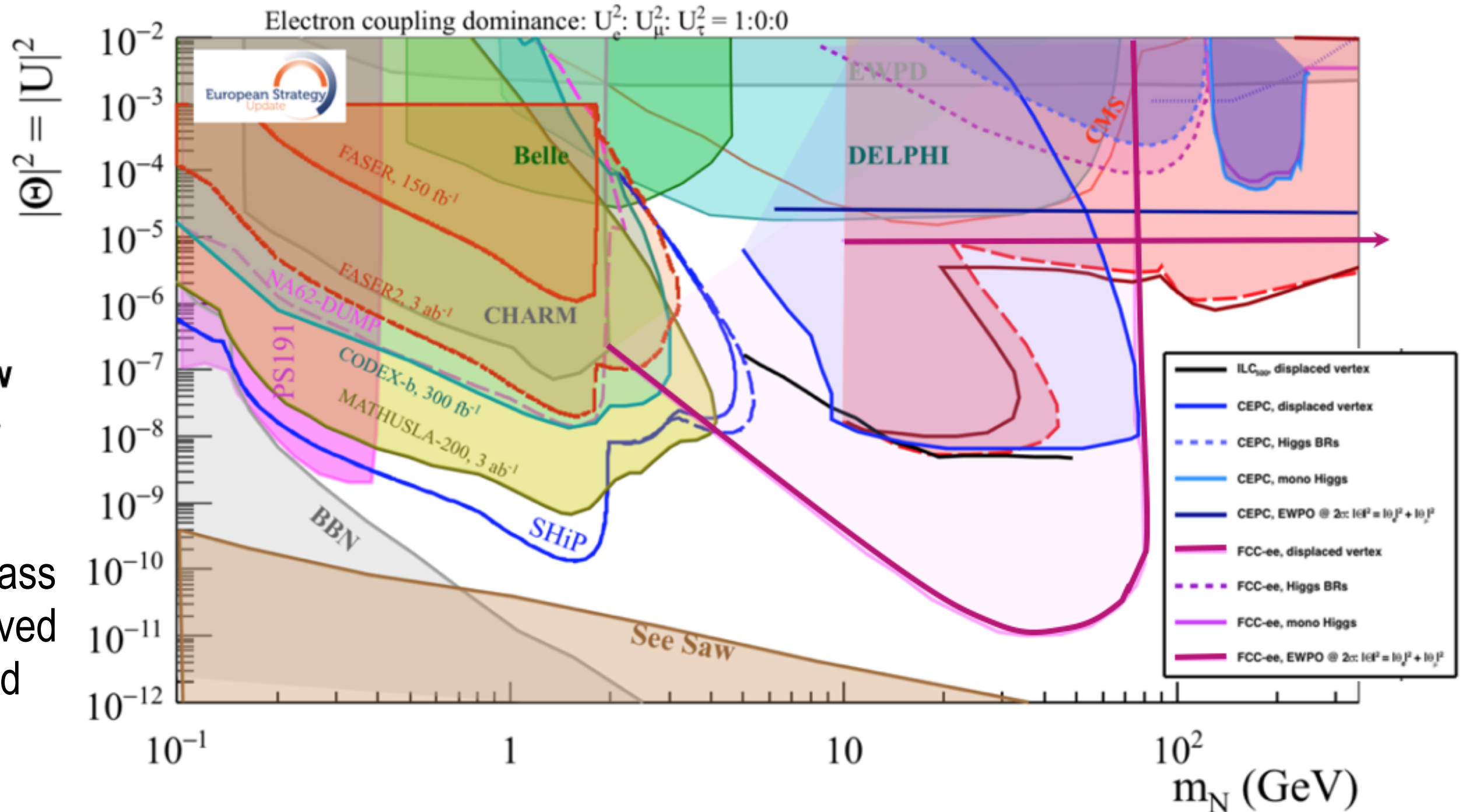
Search for V_{RH}

Direct observation
in Z decays
from LH-RH mixing



Important to understand

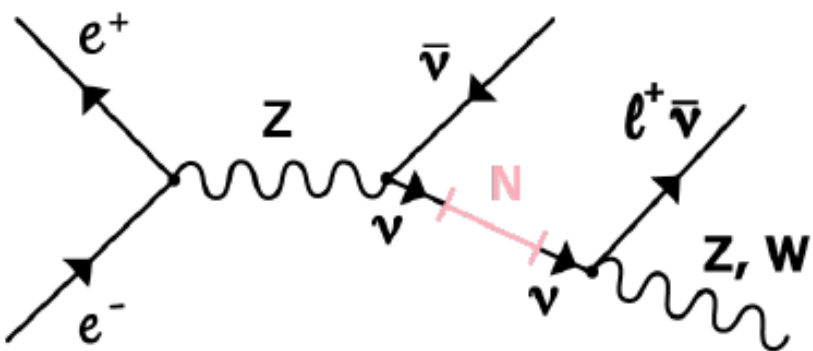
1. how neutrinos acquired mass
2. if lepton number is conserved
3. if leptogenesis is realised



ESU Physics BB '19

Search for V_{RH}

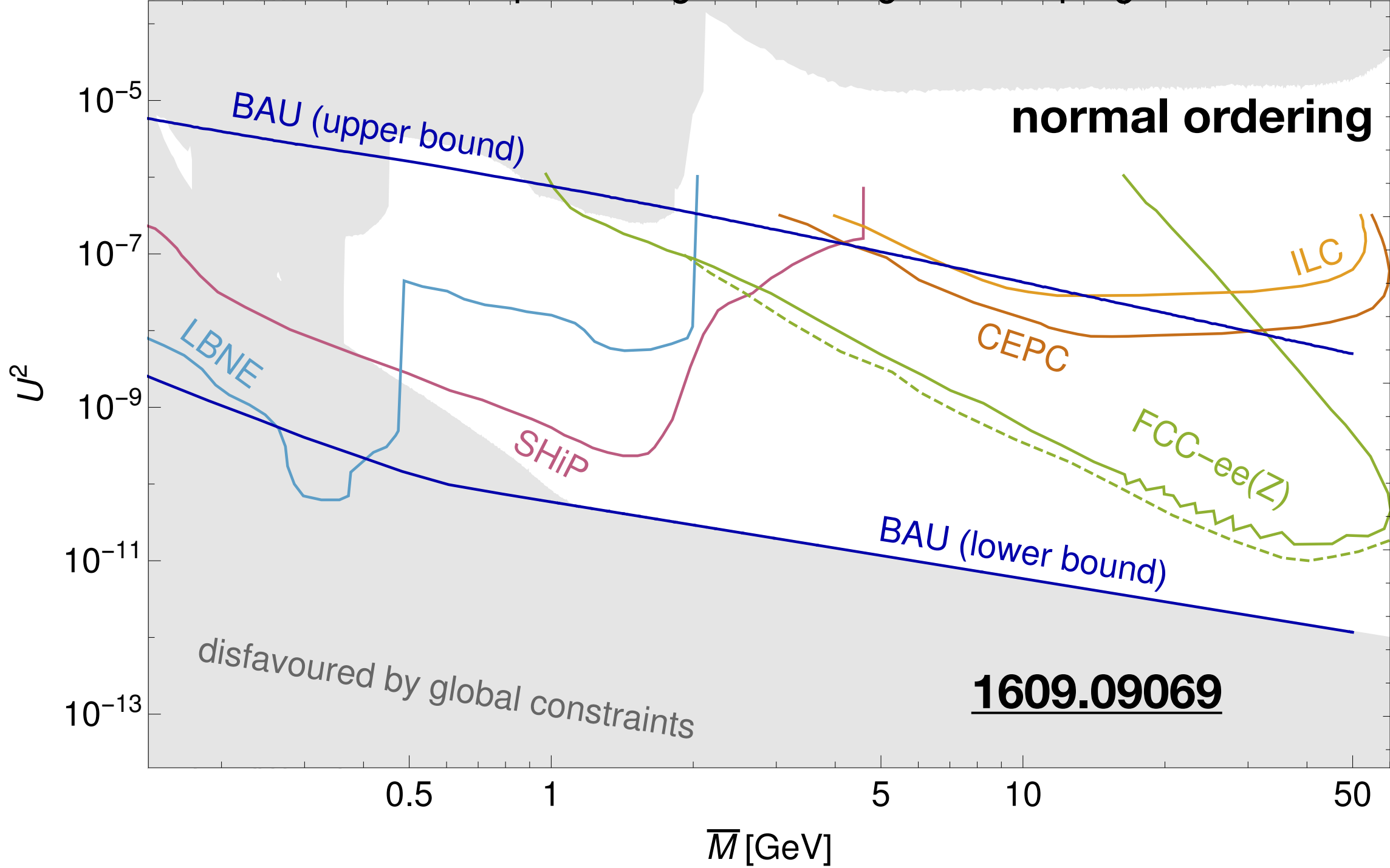
Direct observation
in Z decays
from LH-RH mixing



$$|\Theta|^2 = |U|^2$$

- Important to understand
1. how neutrinos acquired mass
 2. if lepton number is conserved
 3. if leptogenesis is realised

FCC-ee can probe large viable regions of leptogenesis



Short-term Goals

1. Documentation of the specificities of the FCC-ee and FCC-hh **physics cases** and their complementarity for the characterisation of the Standard Model Higgs boson and beyond;
 - identify key topics and observables
 - propose new benchmark measurements
2. Strategic plans for improved **theoretical calculations** needed to reduce the theoretical uncertainties towards matching the FCC-ee expected statistical precision for the most important measurements: QCD and EW sectors
3. A first list of coherent sets of **detector requirements** to fully exploit the FCC-ee physics opportunities, in particular to reduce the experimental systematic uncertainties towards matching the FCC-ee expected statistical precision for the most important measurements.

Conclusions

A **circular “Higgs factory”** like FCC-ee has a rich potential:

- * Direct and indirect sensitivity to New Physics.
- * Establish new organising principles of Nature (LEP → gauge symmetries, FCC → ??).
- * Probe the **HEP-Cosmo connections** thanks to the high statistics of the Z-pole run (omitting this exploration would be ignoring the outcome of LHC.
10+ years of LHC have changed the HEP landscape).

FCC-ee is an essential part of an **integrated** programme to probe New Physics.

We have profound questions and we need create opportunities to answer them.
— FCC-ee will for sure contribute —

BONUS

Experimental Inputs

A circular ee Higgs factory starts as a Z/EW factory
(**TeraZ**)

A linear ee Higgs factory operating above Z-pole can also preform EW measurements via **Z-radiative** return

A linear ee Higgs factory could also operate on the Z-pole though at lower lumi
(**GigaZ**)

Not included in the analyses yet

	Higgs	aTGC	EWPO	Top EW
FCC-ee	Yes (μ, σ_{ZH}) (Complete with HL-LHC)	Yes (aTGC dom.) Warning	Yes	Yes (365 GeV, Ztt)
ILC	Yes (μ, σ_{ZH}) (Complete with HL-LHC)	Yes (HE limit) Warning	LEP/SLD (Z-pole) + HL-LHC + W (ILC)	Yes (500 GeV, Ztt)
CEPC	Yes (μ, σ_{ZH}) (Complete with HL-LHC)	Yes (aTGC dom) Warning	Yes	No
CLIC	Yes (μ, σ_{ZH})	Yes (Full EFT parameterization)	LEP/SLD (Z-pole) + HL-LHC + W (CLIC)	Yes
HE-LHC	Extrapolated from HL-LHC	N/A → LEP2	LEP/SLD + HL-LHC ($M_w, \sin^2\theta_w$)	-
FCC-hh	Yes ($\mu, BR_i/BR_j$) Used in combination with FCCee/eh	From FCC-ee	From FCC-ee	-
LHeC	Yes (μ)	N/A → LEP2	LEP/SLD + HL-LHC ($M_w, \sin^2\theta_w$)	-
FCC-eh	Yes (μ) Used in combination with FCCee/hh	From FCC-ee	From FCC-ee + Zuu, Zdd	-

Observable	present value \pm error	FCC-ee Stat.	FCC-ee Syst.	Comment and leading exp. error
m_Z (keV)	91186700 ± 2200	4	100	From Z line shape scan Beam energy calibration
Γ_Z (keV)	2495200 ± 2300	4	25	From Z line shape scan Beam energy calibration
$\sin^2 \theta_W^{\text{eff}} (\times 10^6)$	231480 ± 160	2	2.4	from $A_{\text{FB}}^{\mu\mu}$ at Z peak Beam energy calibration
$1/\alpha_{\text{QED}}(m_Z^2)(\times 10^3)$	128952 ± 14	3	small	from $A_{\text{FB}}^{\mu\mu}$ off peak QED&EW errors dominate
$R_\ell^Z (\times 10^3)$	20767 ± 25	0.06	0.2-1	ratio of hadrons to leptons acceptance for leptons
$\alpha_s(m_Z^2) (\times 10^4)$	1196 ± 30	0.1	0.4-1.6	from R_ℓ^Z above
$\sigma_{\text{had}}^0 (\times 10^3)$ (nb)	41541 ± 37	0.1	4	peak hadronic cross section luminosity measurement
$N_\nu (\times 10^3)$	2996 ± 7	0.005	1	Z peak cross sections Luminosity measurement
$R_b (\times 10^6)$	216290 ± 660	0.3	< 60	ratio of $b\bar{b}$ to hadrons stat. extrapol. from SLD
$A_{\text{FB},0}^b (\times 10^4)$	992 ± 16	0.02	1-3	b-quark asymmetry at Z pole from jet charge
$A_{\text{FB}}^{\text{pol},\tau} (\times 10^4)$	1498 ± 49	0.15	< 2	τ polarization asymmetry τ decay physics
τ lifetime (fs)	290.3 ± 0.5	0.001	0.04	radial alignment
τ mass (MeV)	1776.86 ± 0.12	0.004	0.04	momentum scale
τ leptonic ($\mu\nu_\mu\nu_\tau$) B.R. (%)	17.38 ± 0.04	0.0001	0.003	e/μ /hadron separation
m_W (MeV)	80350 ± 15	0.25	0.3	From WW threshold scan Beam energy calibration
Γ_W (MeV)	2085 ± 42	1.2	0.3	From WW threshold scan Beam energy calibration
$\alpha_s(m_W^2)(\times 10^4)$	1170 ± 420	3	small	from R_ℓ^W
$N_\nu (\times 10^3)$	2920 ± 50	0.8	small	ratio of invis. to leptonic in radiative Z returns
m_{top} (MeV/ c^2)	172740 ± 500	17	small	From $t\bar{t}$ threshold scan QCD errors dominate
Γ_{top} (MeV/ c^2)	1410 ± 190	45	small	From $t\bar{t}$ threshold scan QCD errors dominate
$\lambda_{\text{top}}/\lambda_{\text{top}}^{\text{SM}}$	1.2 ± 0.3	0.10	small	From $t\bar{t}$ threshold scan QCD errors dominate
ttZ couplings	$\pm 30\%$	0.5 – 1.5%	small	From $\sqrt{s} = 365$ GeV run

EW Precision Measurements at FCC-ee

Blondel, Janot
arXiv: 2106.13885

Example of measurements @ WW threshold

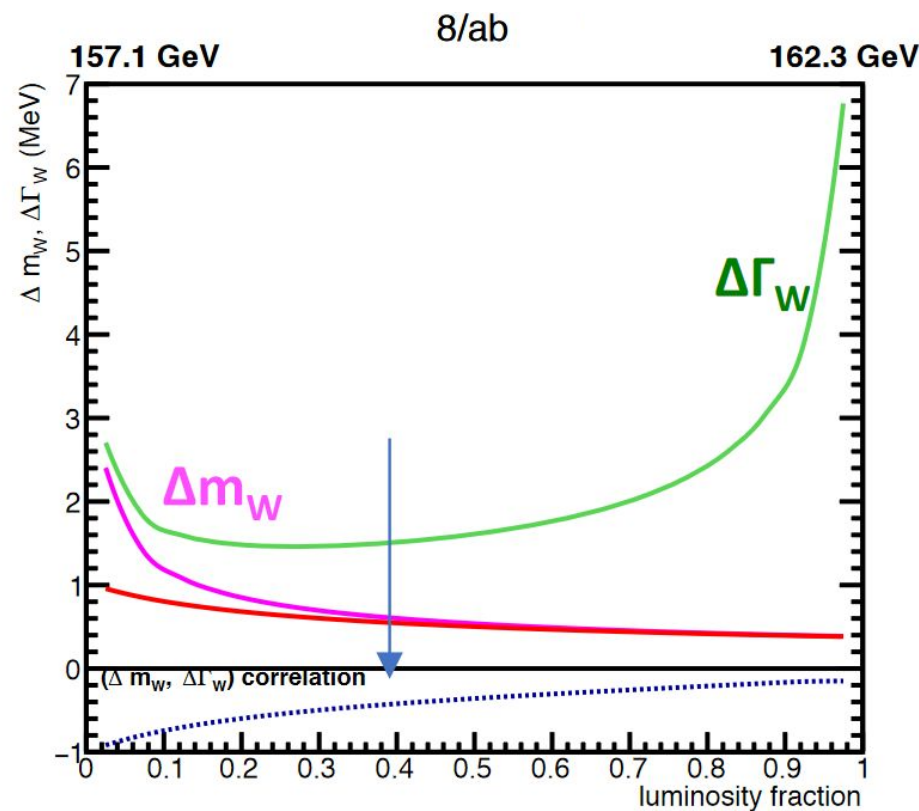
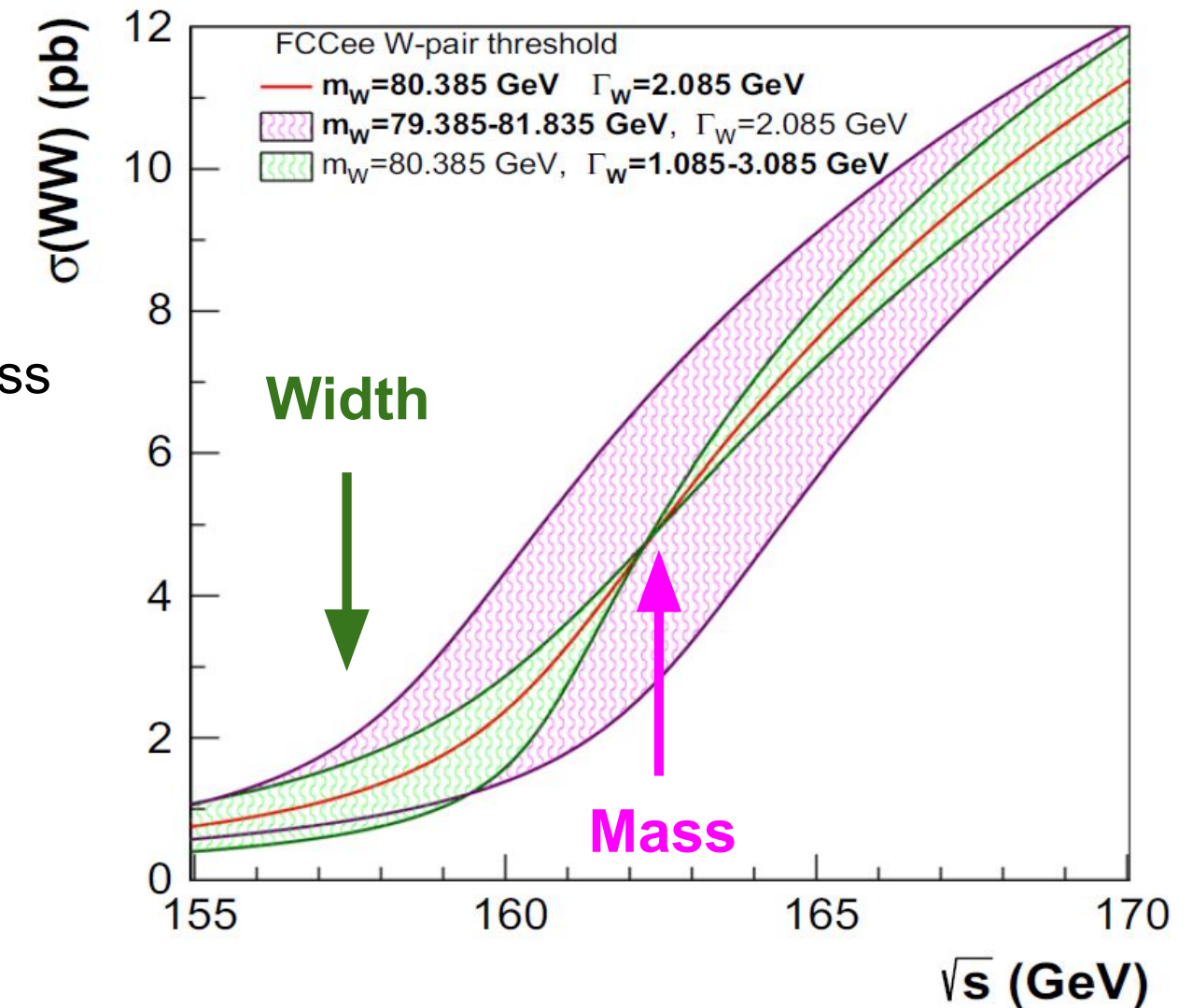
W mass and width extracted from line-scans using WW xsec

2 energy points determined from Δm_W and $\Delta \Gamma_W$ sensitivities on WW xsec:

→ **157.1 GeV width measurement:** maximum sensitivity on width

→ **162.5 GeV mass measurement:** minimal impact on width, max. on mass

Luminosity ($<10^{-4}$) and center-of-mass (< 0.5 MeV) uncertainties to be controlled, but weaker constraints than on Z pole



Combined fit with optimized lumi fraction ($f=0.4$: 5 /ab at 157.1, 7 /ab at 162.5)

→ precision m_W to 0.25 (stat) + 0.3 (syst) MeV (present 15 MeV)

→ precision Γ_W to 1.2 (stat) + 0.3 (syst) MeV (present 42 MeV)

Example of measurements @ WW threshold

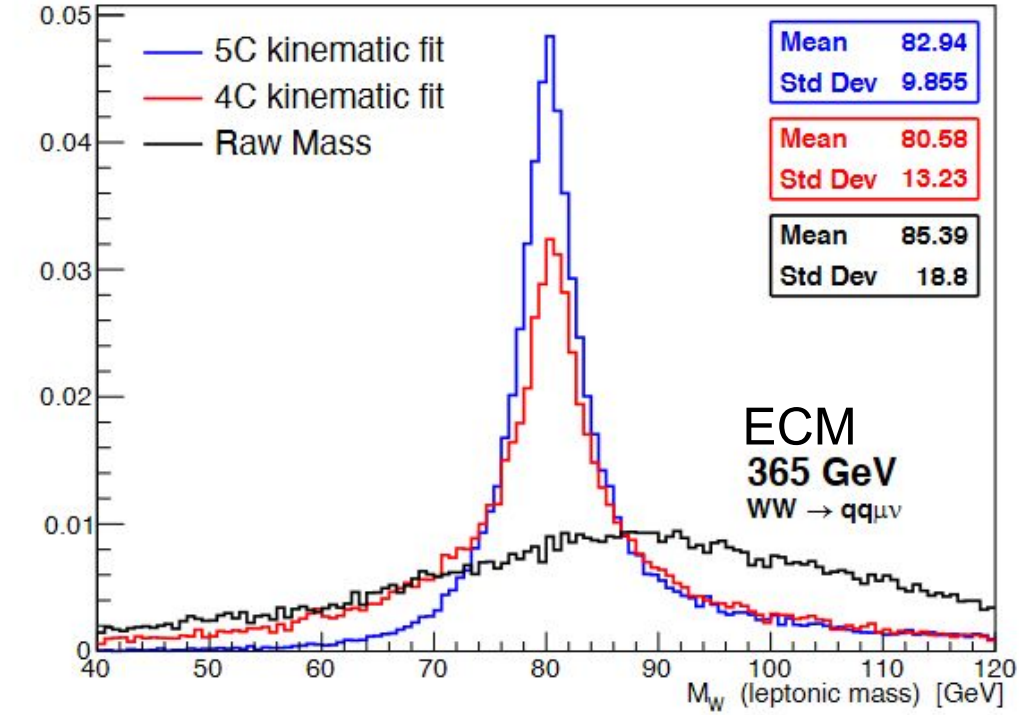
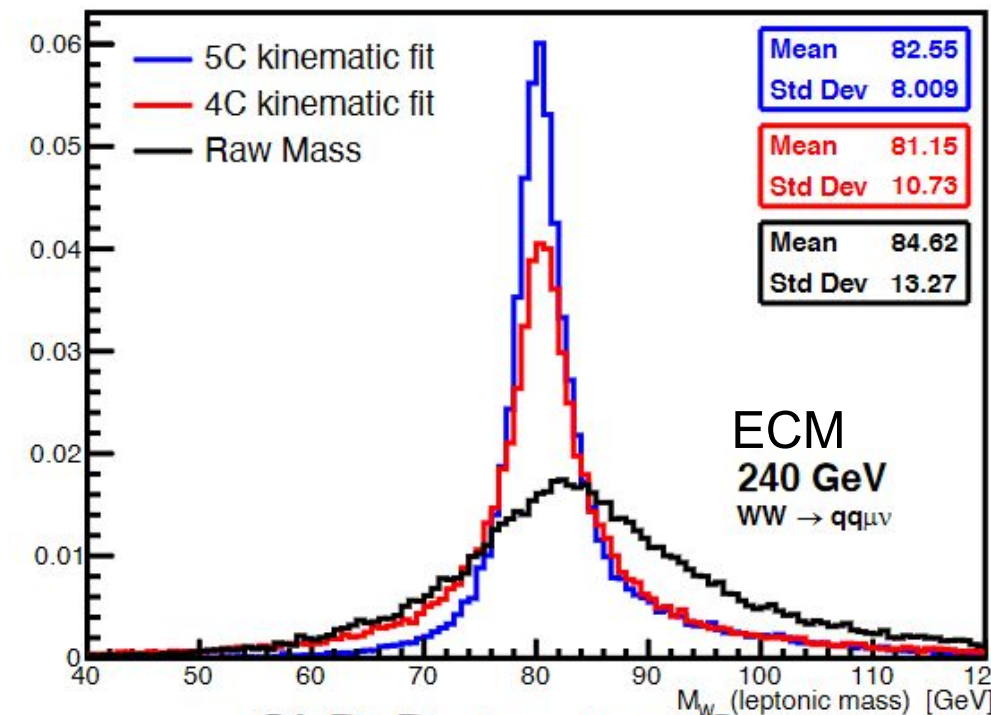
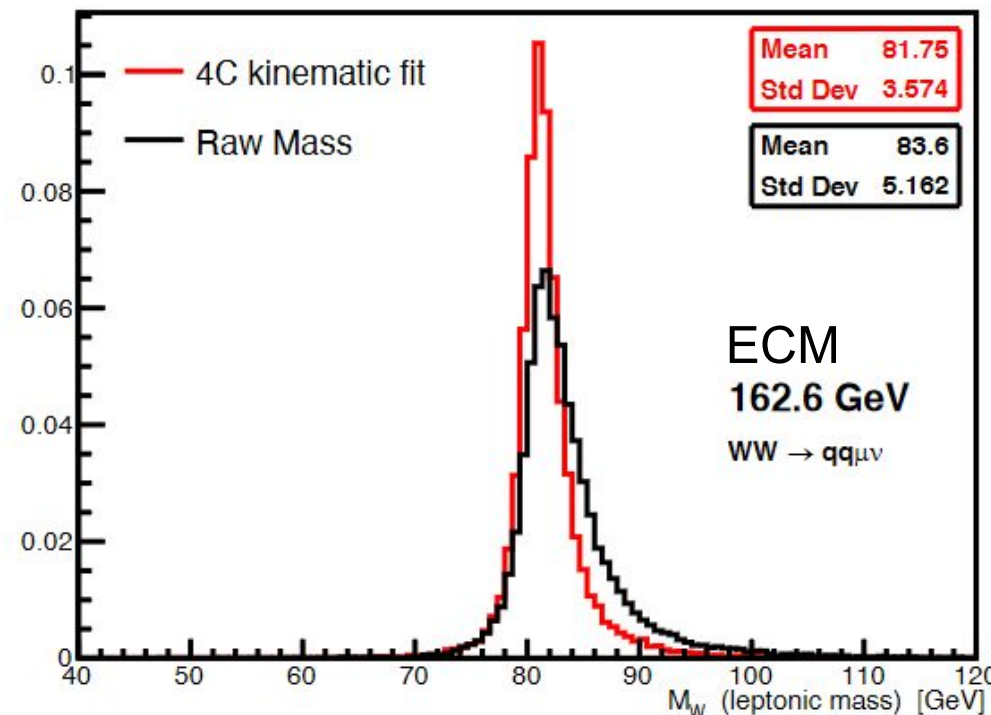
Independent analysis on W mass and width using kinematic reconstruction techniques in WW → qq̄lv events

- Profit from precise angle and velocity (β) measurements
- Run at all kinematically accessible energy points (WW, ZH and tt)
- Put conditions on detector requirements

Δm_W (stat) ~ 250 keV → similar as xsec measurement
 $\Delta \Gamma_W$ (stat) ~ 350 keV → reduction factor 2-3

Source	Δm_W (MeV/c ²)				$\Delta \Gamma_W$ (MeV)			
	evq̄q̄	μνq̄q̄	τνq̄q̄	ℓνq̄q̄	evq̄q̄	μνq̄q̄	τνq̄q̄	ℓνq̄q̄
e+μ momentum	3	8	-	4	5	4	-	4
e+μ momentum resolu	7	4	-	4	65	55	-	50
Jet energy scale/linearity	5	5	9	6	4	4	16	6
Jet energy resolu	4	2	8	4	20	18	36	22
Jet angle	5	5	4	5	2	2	3	2
Jet angle resolu	3	2	3	3	6	7	8	7
Jet boost	17	17	20	17	3	3	3	3
Fragmentation	10	10	15	11	22	23	37	25
Radiative corrections	3	2	3	3	3	2	2	2
LEP energy	9	9	10	9	7	7	10	8
Calibration (evq̄q̄ only)	10	-	-	4	20	-	-	9
Ref MC Statistics	3	3	5	2	7	7	10	5
Bkgnd contamination	3	1	6	2	5	4	19	7

Limited by systematics (beam energy, resolution, fragmentation) → constrain



CLD Detector Concept

M. Béguin, PhD thesis, 2019 <https://cds.cern.ch/record/2710098>
M. Béguin, E.Locc, iPoSEPS-HEP2019(2020) <https://doi.org/10.22323/1.364.0653>

J. Eysermans @ EPS2021

Example of measurements @ WW threshold

Precise measurement of W decays

- Precise control of lepton ID to avoid cross contamination in signal channels (e.g. $\tau \rightarrow e, \mu$ vs. e, μ channels)
- Precision of 10^{-4} achievable (rel.)
- Simultaneously probe lepton and q/l universality to high precision ($\sim 10^{-4}$)

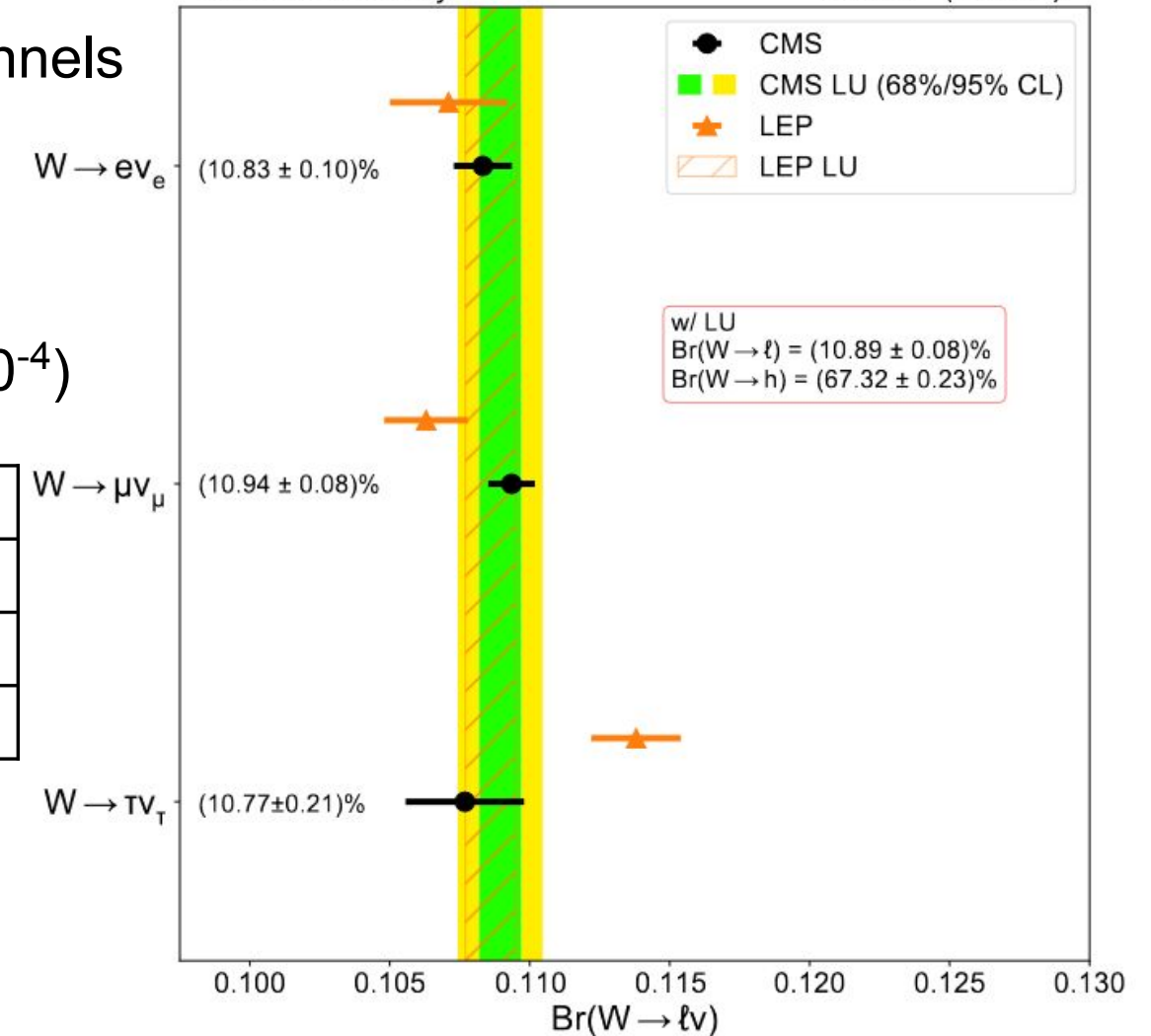
Decay mode relative precision	$B(W \rightarrow e\nu)$	$B(W \rightarrow \mu\nu)$	$B(W \rightarrow \tau\nu)$	$B(W \rightarrow qq)$
LEP2	1.5 %	1.4 %	1.8 %	0.4 %
CMS	0.9 %	0.7 %	2 %	0.4 %
FCCee	0.03 %	0.03 %	0.04 %	0.01 %

CMS-PAS-SMP-18-011

<http://cds.cern.ch/record/2758905>

CMS Preliminary

35.9 fb⁻¹ (13 TeV)



Flavor tagging

- Allows precise measurement CKM matrix elements V_{cs}, V_{ub}, V_{cb}
- Extract strong coupling constant at WW-threshold

$$R_W = \frac{B_q}{1 - B_q} = \left(1 + \frac{\alpha_S(m_W^2)}{\pi} \right) \sum_{i=u,c; j=d,s,b} |V_{ij}|^2$$

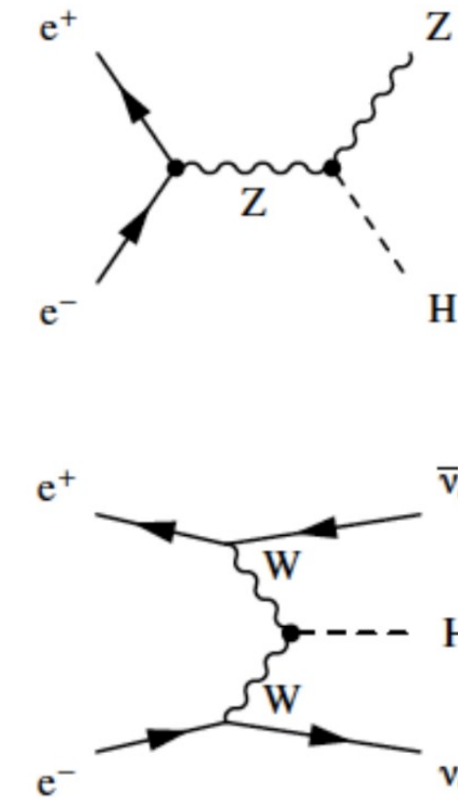
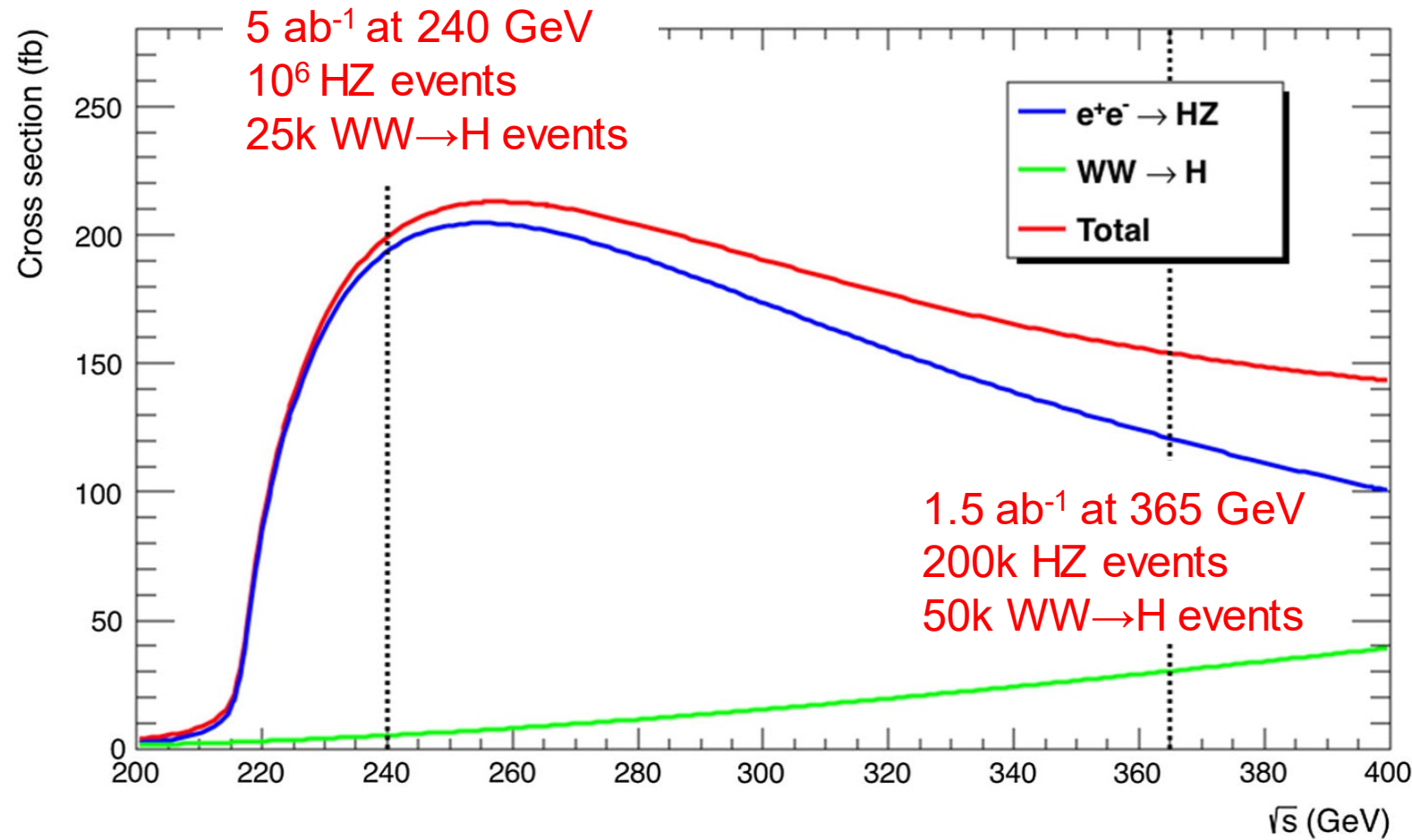
→ $\Delta\alpha_S(m_W) \sim 3 \times 10^{-4}$ (abs)
 → Statistically dominated

J. Eysermans @ EPS2021

Higgs @ FCC-ee

Central goal of FCC-ee: model-independent measurement of Higgs width and couplings with (<) % precision. Achieved through operation at two energy points.

G. Wilkinson, FCC Physics WS '22



Sensitivity to both processes very helpful in improving precision on couplings.

Table 8: Operation costs of low-energy Higgs factories, expressed in Euros per Higgs boson.

Collider	ILC ₂₅₀	CLIC ₃₈₀	FCC-ee ₂₄₀
Cost (Euros/Higgs)	7,000 to 12,000	2,000	255

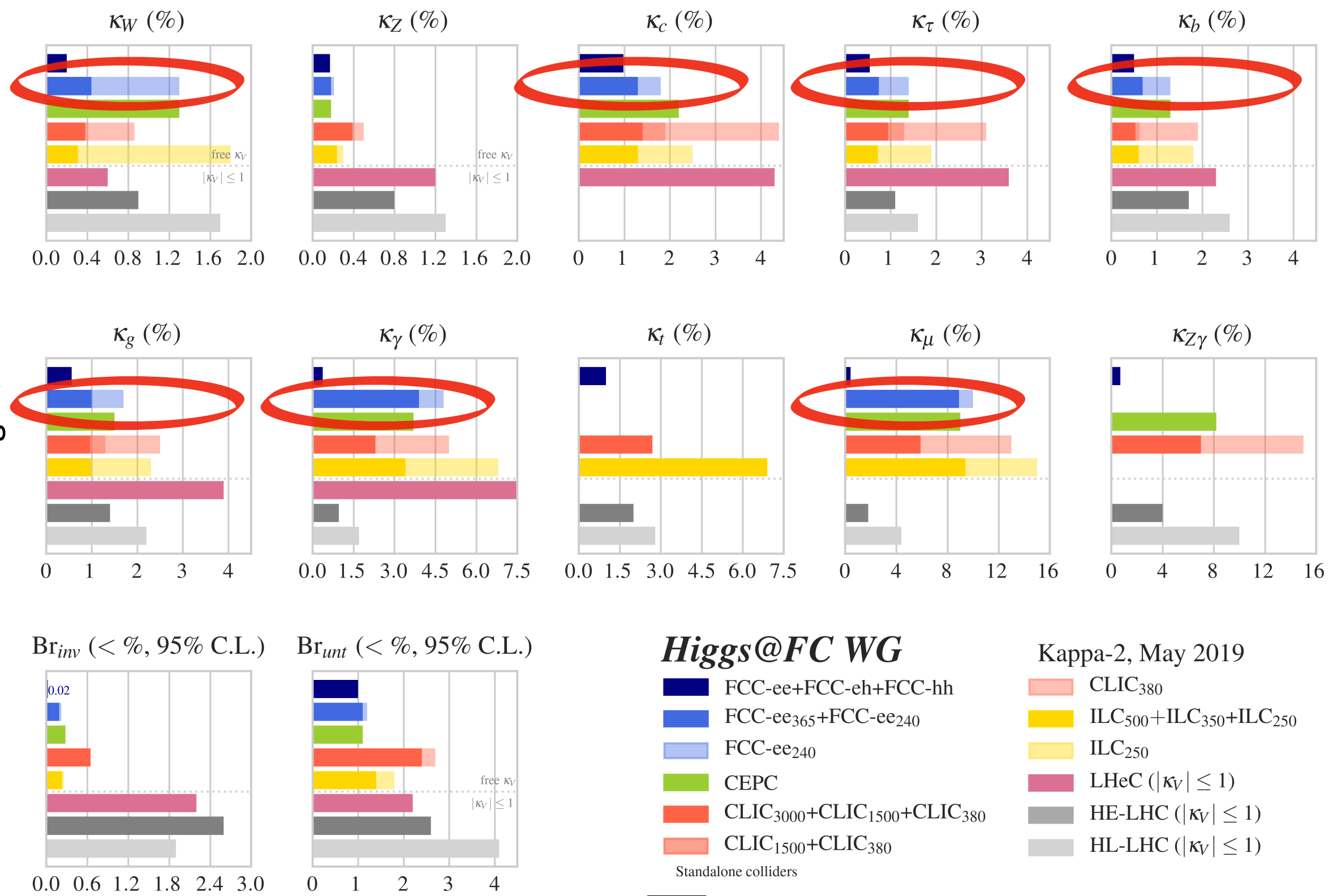
FCC-ee, 1906.02693

Higgs @ FCC-ee: Complementarity of 240/365 GeV

ECFA Higgs study group '19

Scenario BR_{inv} BR_{unt} include HL-LHC
 kappa-2 measured measured no

hadron collider cannot measure width
 need an assumption to close the fit
 e.g. $\kappa_V < 1$

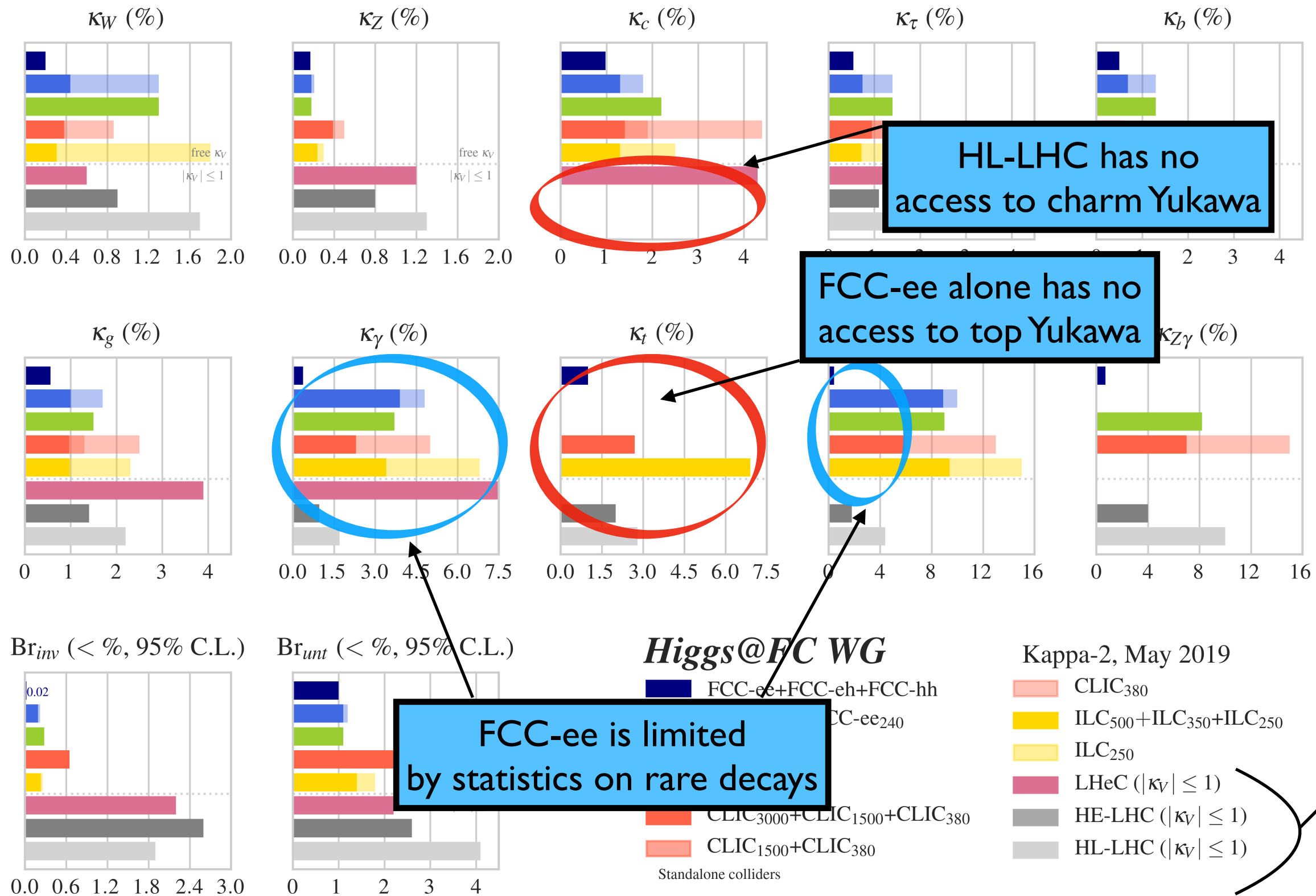


Higgs @ FCC-ee: Complementarity with HL-LHC

ECFA Higgs study group '19

Scenario	BR_{inv}	BR_{unt}	include HL-LHC
kappa-2	measured	measured	no

hadron collider cannot measure width
need an assumption to close the fit
e.g. $\kappa_V < 1$



FCC-ee is limited by statistics on rare decays

HL-LHC has no access to charm Yukawa

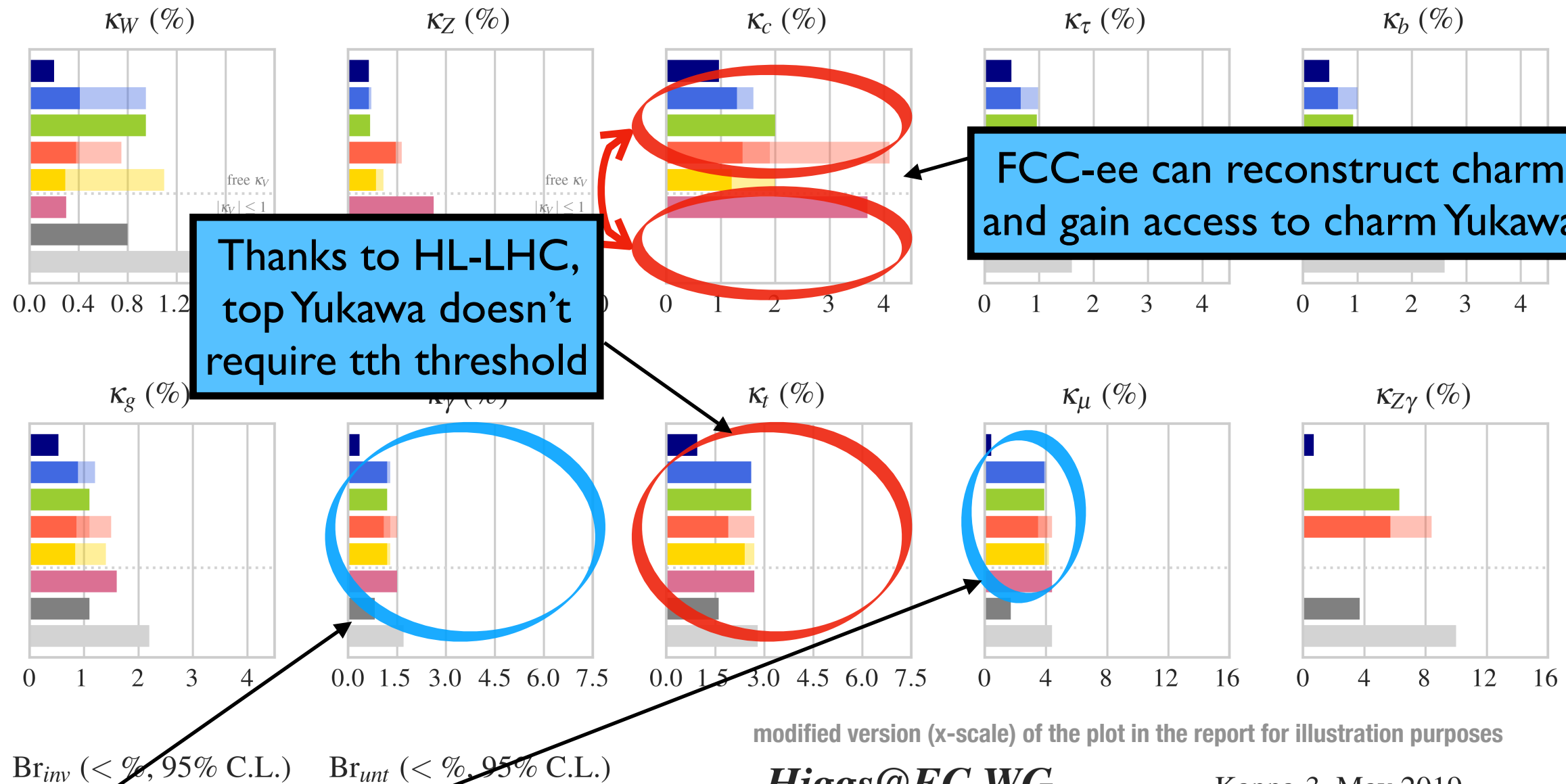
FCC-ee alone has no access to top Yukawa

assumption needed for the fit to close at hadron machines

Higgs @ FCC-ee: Complementarity with HL-LHC

ECFA Higgs study group '19

Scenario	include HL-LHC
kappa-3	yes
BR_{inv}	measured
BR_{unt}	measured



Thanks to HL-LHC, top Yukawa doesn't require tth threshold

FCC-ee can reconstruct charm and gain access to charm Yukawa

LHC brings statistics
FCC-ee adds a bit of sensitivity

Important synergy HL-LHC — low energy lepton colliders

1. Top/Charm Yukawa
2. Statistically limited channels: $\gamma\gamma$, $\mu\mu$

modified version (x-scale) of the plot in the report for illustration purposes

Higgs@FC WG

Kappa-3, May 2019

Example of measurements @ tt threshold

Top mass and width measurements similar as WW line-shape

Though more energy points needed:

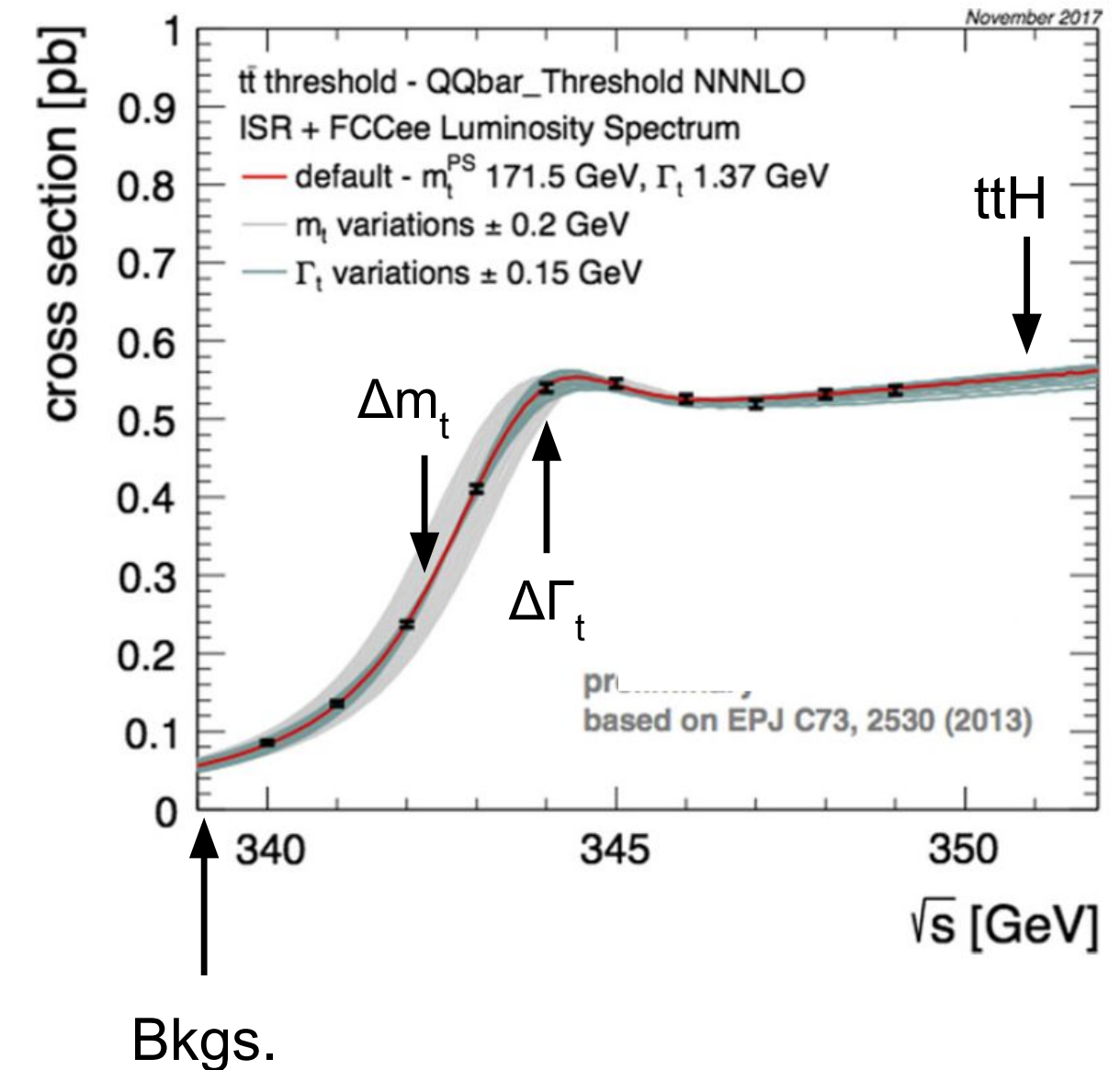
- Relative large uncertainty on top mass (± 0.5 GeV)
- Need to constrain shape in optimal way
- Possible to constrain backgrounds (below) and ttH (above)

→ Multipoint scan in 5 GeV window [340, 345], each ~ 25 /fb

→ Δm_t (stat) ~ 17 MeV

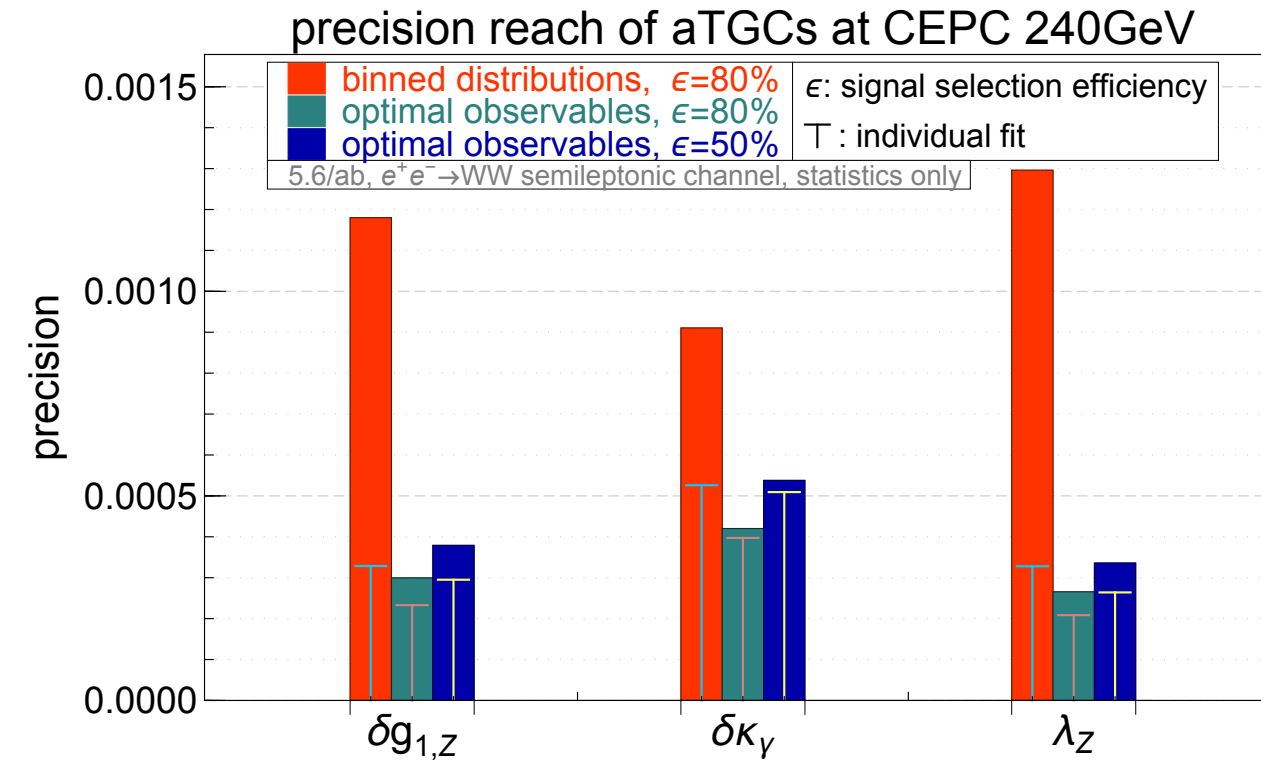
→ $\Delta \Gamma_t$ (stat) ~ 45 MeV

To date: theoretical QCD errors order of 40 MeV for mass and width

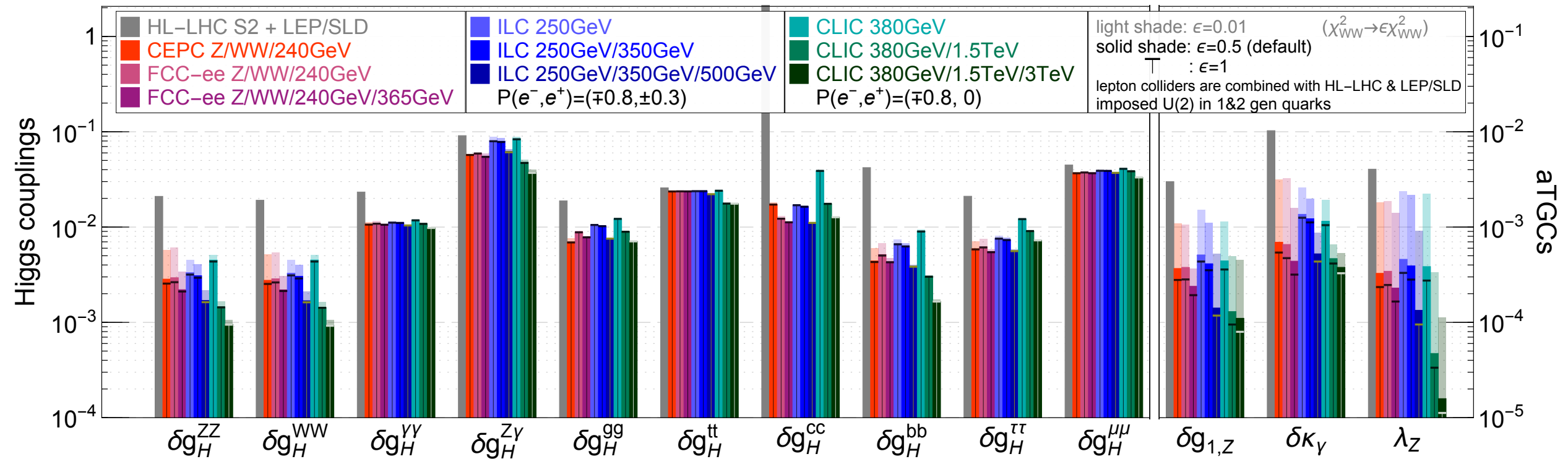


Impact of Diboson Systematics

J. De Blas, G. Durieux, C. Grojean, J. Gu, A. Paul 1907.04311

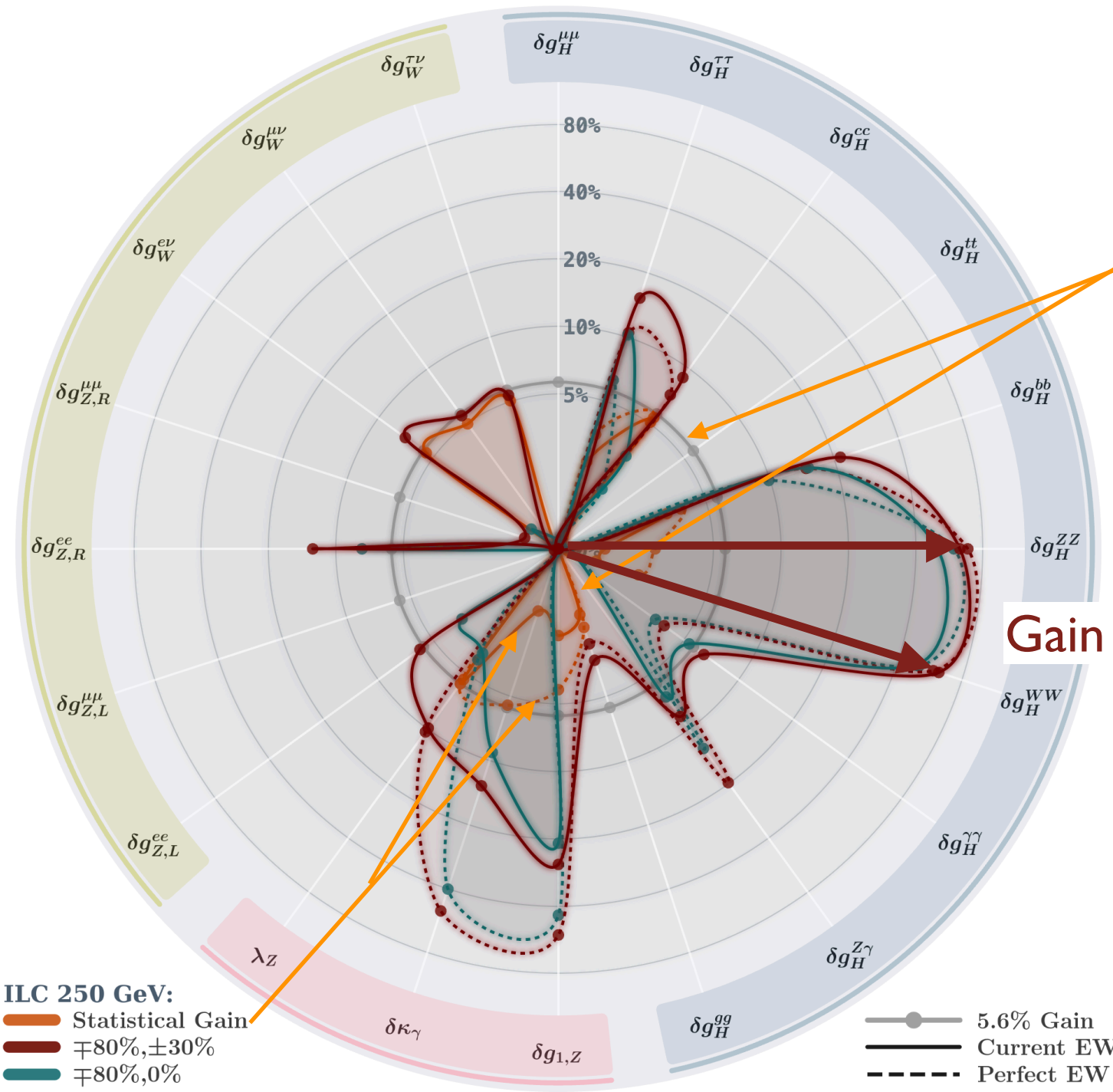


precision reach with different assumptions on $e^+e^- \rightarrow WW$ measurements



Impact of Beam Polarisation (@250GeV)

J. De Blas et al. 1907.04311



Statistical gain from increased rates

$$\sigma_{P_{e^+}P_{e^-}} = \sigma_0(1 - P_{e^+}P_{e^-}) \left[1 - A_{LR} \frac{P_{e^-} - P_{e^+}}{1 - P_{e^+}P_{e^-}} \right]$$

From $ee \rightarrow Zh$, $A_{LR} \sim 0.15$ so $\sigma_{-80,+30} \sim 1.4 \sigma_0$

overall, one could expect
O(6%) increased coupling sensitivity

Gain reaches 80%

Gain is much higher in global EFT fit
since polarisation removes
degeneracies among operators

Polarisation benefit diminishes
when other runs at higher energies are added
and basically left only with statistical gain

ILC 250 GeV:

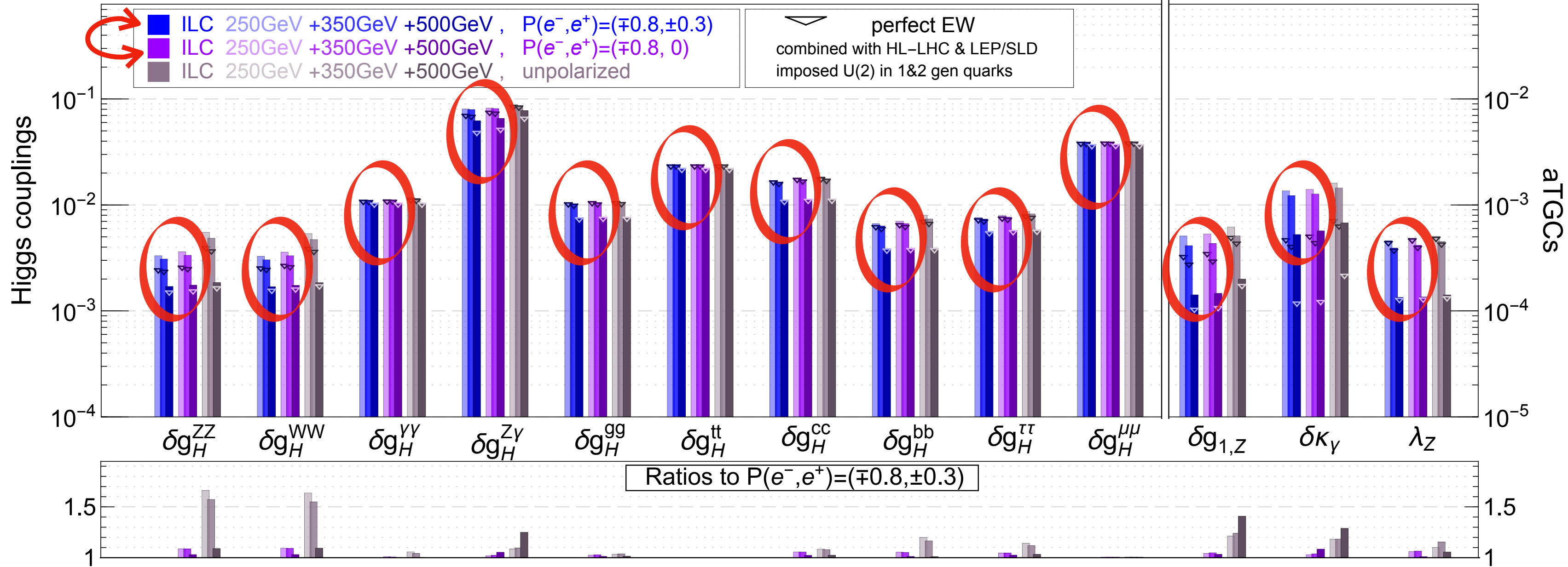
- Statistical Gain
- $\mp 80\%, \pm 30\%$
- $\mp 80\%, 0\%$

- 5.6% Gain
- Current EW
- - - Perfect EW

increased sensitivities Polarised vs. Unpolarised scenarios @ 250GeV

Impact of Beam Polarisation

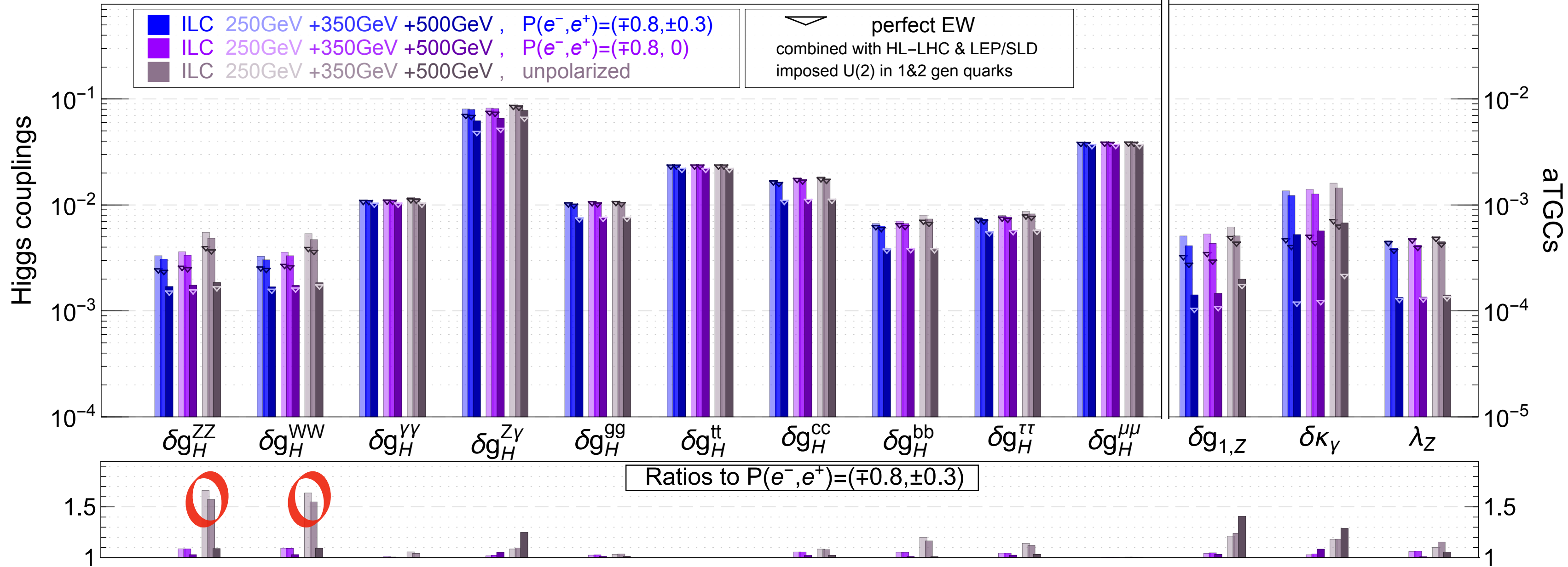
J. De Blas et al. 1907.04311



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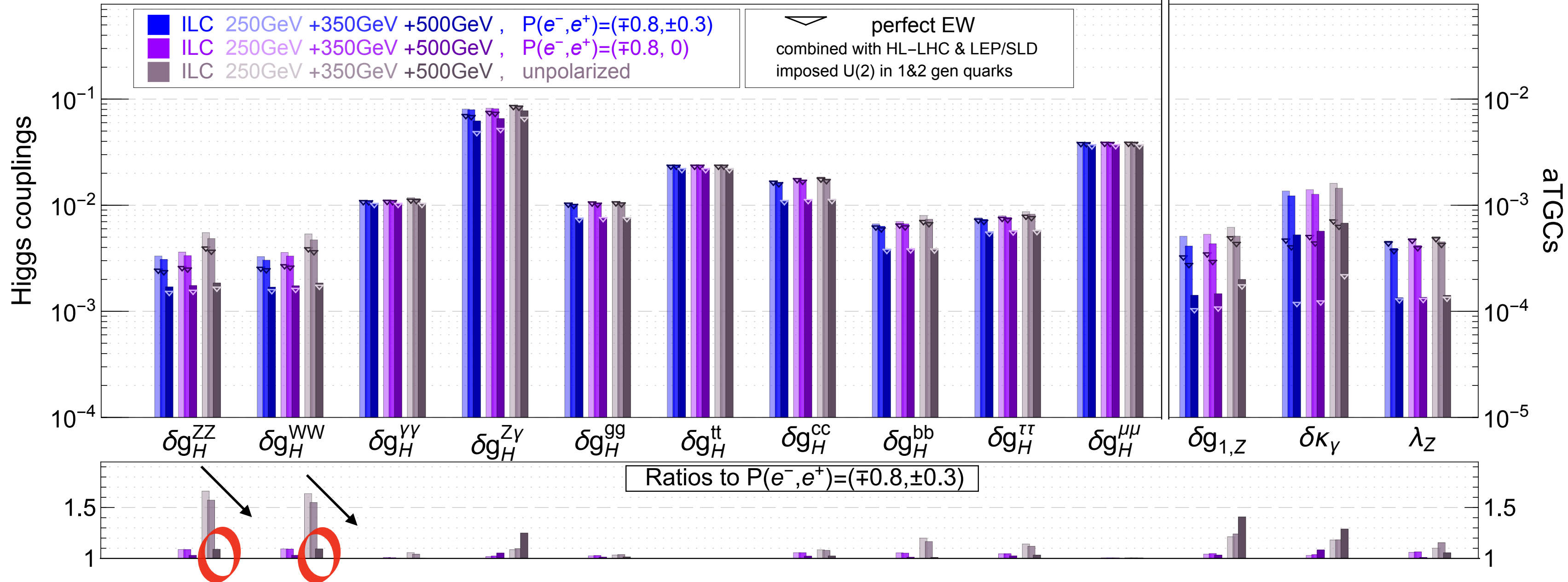
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- Polarisation-benefit diminishes (in relative and absolute terms) when other runs at higher energies are added