

Nuclear matter studies at sPHENIX

C-J. Naïm

Center for Frontiers in Nuclear Science

QEIC meeting

December 19th 2022



Drell-Yan process as a golden probe

How can we probe the gluon density in nuclei at sPHENIX?

References

- [Arleo, Naïm, Platchkov, JHEP01(2019)129]
- [Arleo, Naïm, JHEP07(2020)220]
- [sPH-TRG-2020-001]

Drell-Yan in proton-proton collisions

At large momentum transfer in pp, scale $Q \gg \Lambda_{\text{QCD}} \approx 200 \text{ MeV}$

$$pp \rightarrow \gamma^*/Z^0 \rightarrow \ell^+ \ell^- + X$$

Factorization of cross section = approximation

$$\frac{d\sigma_{pp}}{dydQ} = \sum_{i,j} \int dx_1 f_i^p(x_1, \mu) \int dx_2 f_j^p(x_2, \mu) \frac{d\hat{\sigma}_{ij}(x_1, x_2, \mu')}{dydQ} + \mathcal{O}\left(\frac{\Lambda_p^n}{Q^n}\right)$$

- x_1, x_2 : fraction of momentum carried by the parton in proton;
- $f_{i,j}$: Parton Distribution Function (PDF), *universal* non perturbative;
- $\hat{\sigma}_{ij}$: partonic cross section calculable in perturbation theory .

Drell-Yan partonic cross section very well known!

Drell-Yan in proton-nucleus collisions

Cross section in pA collisions assuming collinear factorization

$$\frac{d\sigma_{pA}}{dydQ} = \sum_{i,j} \int dx_1 f_i^p(x_1, \mu) \int dx_2 f_j^A(x_2, \mu) \frac{d\hat{\sigma}_{ij}(x_1, x_2, \mu')}{dydQ} + \mathcal{O}\left(\frac{\Lambda_A^n}{Q^n}\right)$$

- Probing the PDF of a nucleus (without nuclear effects)

$$f_i^A = Zf_i^p + (A - Z)f_i^n$$

$$\sigma_{pA} = Z\sigma_{pp} + (A - Z)\sigma_{pn} \approx A\sigma_{pp}$$

Investigate nuclear effects via:

$$R_{pA} \equiv \frac{1}{A} \frac{d\sigma_{pA}}{d\sigma_{pp}} \not\approx 1$$

because

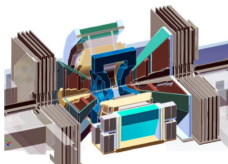
- ① nuclear PDF effects (nPDF)
- ② energy loss/broadening effects

sPHENIX experiment

A transitional experiment...

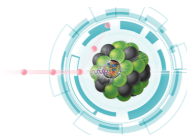
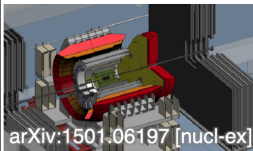
PHENIX

- pp, pA, and AA data;
- **QGP, Hadron Physics, CNM;**
- 170+ physics papers with 24k citations;
- Last run in this form 2016.

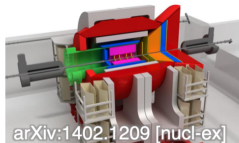


PHENIX

- pp, pA, and AA data;
- **Jet and beauty quarkonia physics;**
- **Drell-Yan.**



- ep and eA, with several nuclei;
- Transition PHENIX to EIC;
- **Large coverage of tracking, calorimetry and PID.**



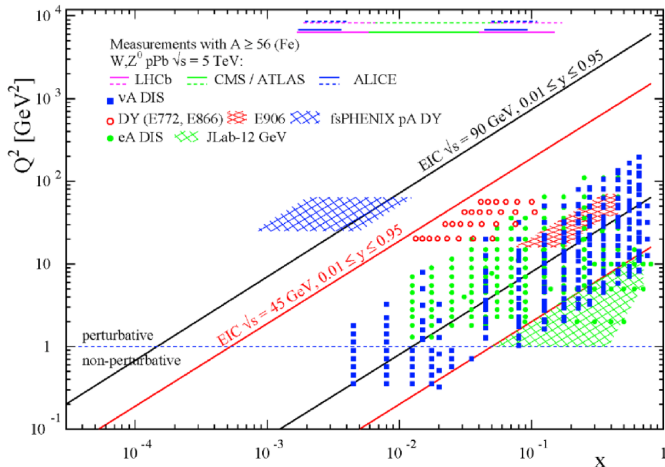
2000

2017 - 2022

After 2025

Time

Drell-Yan at sPHENIX



- Possible to access small $x \sim 10^{-2}$ to 10^{-3} ;
- **Complementary measurements from fixed targets to LHC.**

Luminosity expected at sPHENIX

Year	Species	$\sqrt{s_{NN}}$ [GeV]	Cryo Weeks	Physics Weeks	Rec. Lum. $ z < 10$ cm	Samp. Lum. $ z < 10$ cm
2023	Au+Au	200	24 (28)	9 (13)	3.7 (5.7) nb ⁻¹	4.5 (6.9) nb ⁻¹
2024	$p^\uparrow p^\uparrow$	200	24 (28)	12 (16)	0.3 (0.4) pb ⁻¹ [5 kHz] 4.5 (6.2) pb ⁻¹ [10%-str]	45 (62) pb ⁻¹
2024	p^\uparrow +Au	200	–	5	0.003 pb ⁻¹ [5 kHz] 0.01 pb ⁻¹ [10%-str]	0.11 pb ⁻¹
2025	Au+Au	200	24 (28)	20.5 (24.5)	13 (15) nb ⁻¹	21 (25) nb ⁻¹

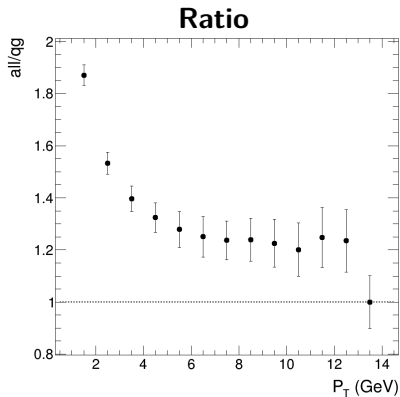
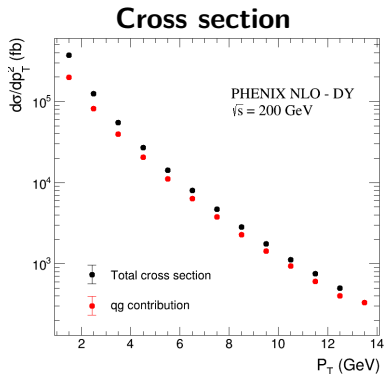
- **2024 (pp & pAu):**

Commissioning and pp reference data and **pAu cold QCD**;

- **2025 (AuAu):**

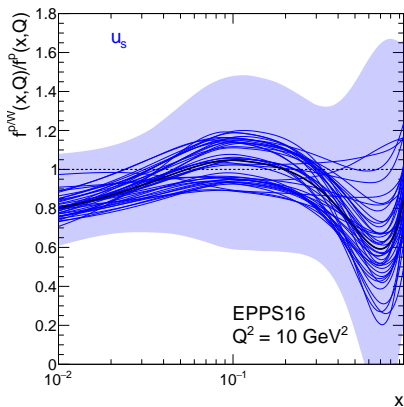
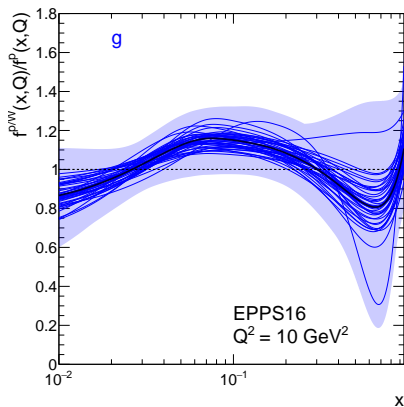
Large statistics data collection for **jets** and heavy flavor observables.

Drell-Yan at NLO - $\sqrt{s} = 200$ GeV - pp collisions



- At NLO: $q\bar{q} \rightarrow \gamma^*$ and $qg \rightarrow \gamma^*q + X$;
- qg contribution becomes significant at $p_\perp \sim 4$ GeV;
- ~ 80 % of qg contribution for $4 \lesssim p_\perp \lesssim 15$ GeV.

nPDF (EPPS16)



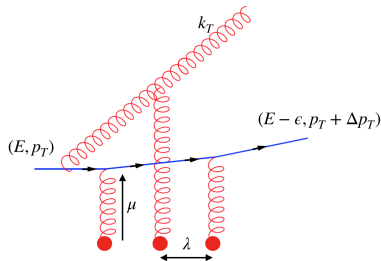
- $\sigma^{\text{DY}} \propto (u^p \bar{u}^A + u^A \bar{u}^p)$ for $p_\perp < M$;
- $\sigma^{\text{DY}} \propto (q^p g^A + q^A g^p)$ for $4 \lesssim p_\perp \lesssim 15 \text{ GeV}$;
- **Huge uncertainties**, especially in EMC/shadowing regions;
- Reduce others nPDF uncertainties thanks to DGLAP evolution.

Transport properties of cold nuclear matter (CNM)

Definition

$$\hat{q} \equiv \frac{\mu^2}{\lambda} = \frac{d\Delta p_{\perp}^2}{dL}$$

- λ is the parton mean free path in the medium;
- μ the typical momentum transferred during 1 soft collision;
- Δp_{\perp}^2 the transverse momentum exchanged between the propagating parton and the medium.



CNM effects in Drell-Yan

Initial-state energy loss (small formation time $t_f \lesssim L$)

$$\langle E \rangle_{\text{LPM}} \propto \alpha_s \hat{q} L^2$$

Broadening effect

$$\Delta p_{\perp}^2 = \hat{q} L$$

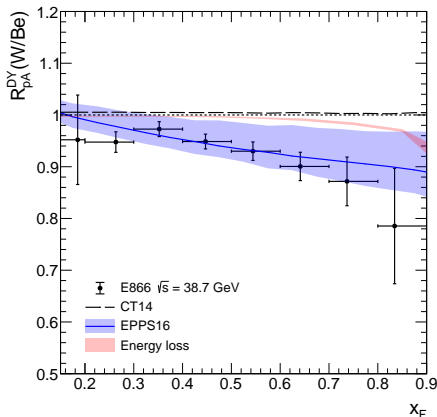
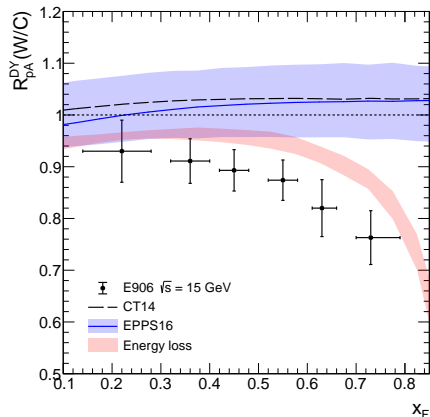
Transport coefficient: scattering property of the medium

$$\hat{q}(x, Q^2 = \Delta p_{\perp}^2) = \frac{4\pi^2 \alpha_s N_c}{N_c^2 - 1} \rho x G(x) = \hat{q}_0 \left[\frac{10^{-2}}{x} \right]^{0.3}$$

Two different observables to probe the transport coefficient of CNM

Drell-Yan at SPS energy

[Arleo, Naïm, Platchkov, JHEP01(2019)129]

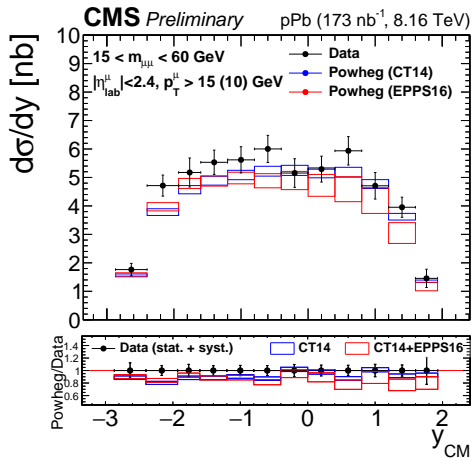


- nPDF effect cannot alone describe preliminary E906 data;
- Energy loss effect at $\sqrt{s} = 15$ GeV leads to a strong suppression.

Drell-Yan at LHC energy

[CMS-PAS-HIN-18-003]

Drell-Yan in pPb at $\sqrt{s} = 8.16$ TeV



- No suppression observed;
- LPM energy is suppressed at high beam energy;
- DY at LHC/RHIC: clean probe to constrain nPDF?

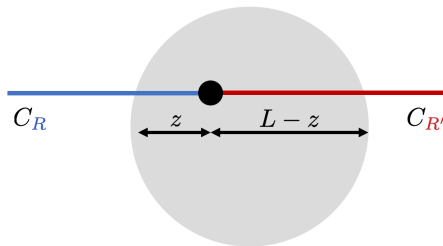
$$\Delta E^{\text{LPM}}/E \rightarrow 0$$

Drell-Yan: a clean probe of the saturation scale I

p_\perp spectra: an observable to probe transport properties

$$\Delta p_\perp^2 = \langle p_\perp^2 \rangle_{\text{hA}} - \langle p_\perp^2 \rangle_{\text{hp}} = \frac{C_R + C_{R'}}{2N_c} (\hat{q}_A L_A - \hat{q}_p L_p)$$

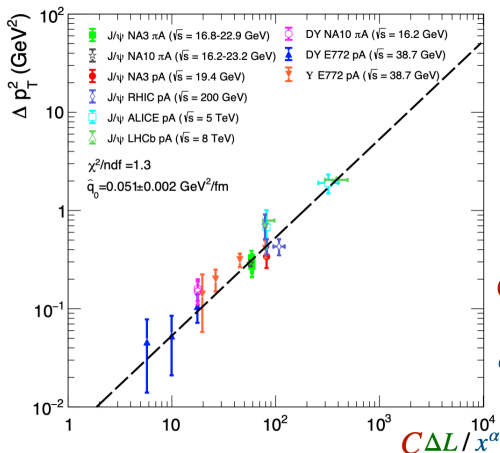
Low energy picture: $t_{\text{hard}} \lesssim L$:



- Drell-Yan: $C_q + 0 = 4/3$;
- Quarkonia (octet) in pA: $C_g + C_{[Q\bar{Q}]_8} = 3 + 3$.

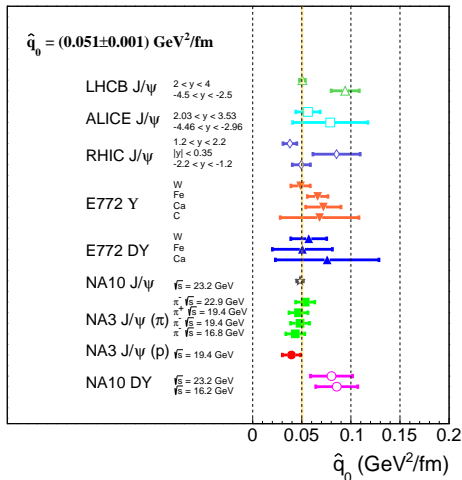
Drell-Yan: a clean probe of the saturation scale II

[Arleo, Naïm, JHEP07(2020)220]



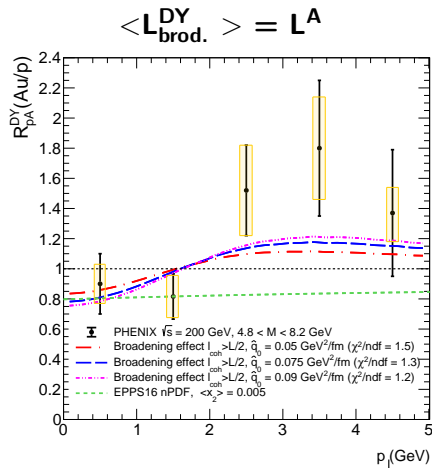
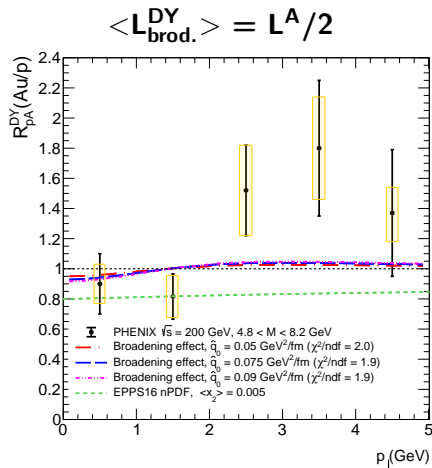
- Simple model used at high energy $\hat{q}(x) \propto \hat{q}_0 \times x^{-0.25}$;
- Extraction of $\hat{q}_0 = 0.051 \pm 0.02 \text{ GeV}^2/\text{fm}$.

Extraction of the transport coefficient



- **New (strong?) constraint** from Drell-Yan data at sPHENIX.

Probe the coherence length via the broadening



- **Probe the coherence length** between low and high energy picture;
- Need to have better statistics to conclude → **sPHENIX experiment**.

Drell-Yan analysis at sPHENIX

Processes:

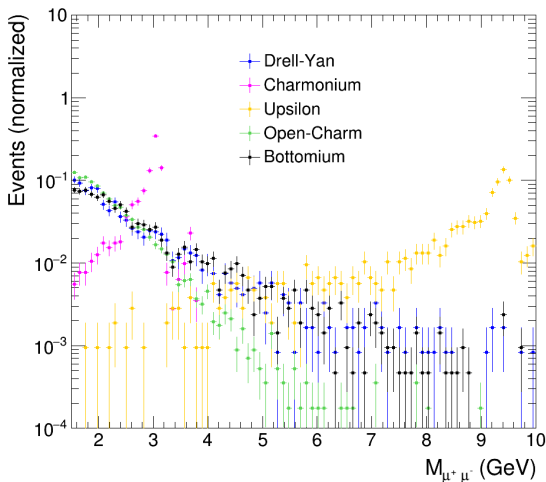
- Charmonium (J/ψ , ψ')
- Bottomonium (Υ)
- Open-Charm (D mesons)
- Bottom (B mesons)
- **Drell-Yan**

Procedure:

- **Simulate all QCD processes** in sPHENIX softwares and identify the contribution of each of them in HMDY region ($4 \leq M \leq 8$ GeV);
- **Fit the mass spectrum** with the following function:

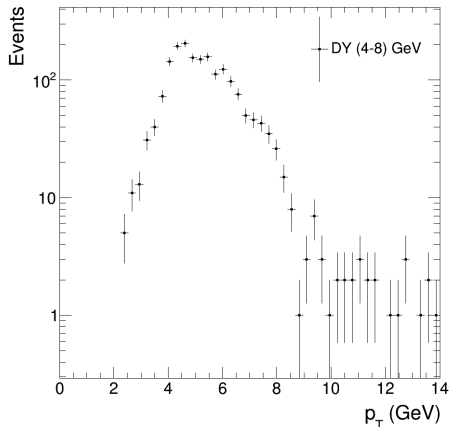
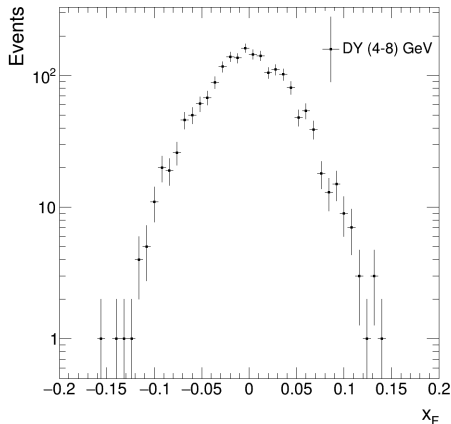
$$f(M)_{\text{fit}} = \alpha_1 f(M)_{\text{MC}}^{\text{Charmonium}} + \alpha_2 f(M)_{\text{MC}}^{\text{DY}} + \alpha_3 f(M)_{\text{MC}}^{\text{OC}} + \alpha_4 f(M)_{\text{MC}}^{\text{Bottom}} + \alpha_5 f(M)_{\text{MC}}^{\text{Bottomium}}$$

Simulation by using sPHENIX software



- **Very close shape** from DY, Bottomium and OC contributions;
- Bottom is **less steeper** compared to OC, especially at $M \gtrsim 4$ GeV;
- **Tail from charmonium/bottomium at low mass:** QED radiation.

Drell-Yan - kinematic phase space



- Probe mainly high p_T : **good for gluons!**
- When $M \sim p_T$, $x_{1/2} \sim \sqrt{M^2 + p_T^2} e^{\pm y} / \sqrt{s}$;
- At forward: $x \sim 10^{-3} - 10^{-2}$, **shadowing region**.

Internal jet structure

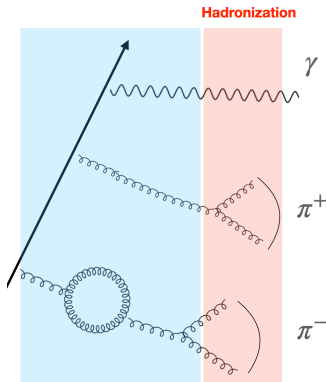
How can we probe the hadronization process at sPHENIX?

Reference

- [Y-T. Chien *et al.*, Phys Rev D.105.L051502]

Internal jet structure

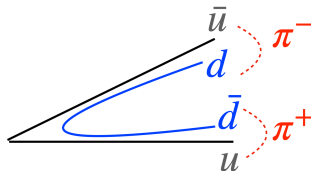
- Access the **dynamics of hadronization**;
- Charge-energy **correlation** for **Leading (L)** and **Next-to-Leading particles (NL)**.



Parton shower evolution + non-perturbative gluon splitting

Charge-energy correlation

- Compare the number of same charge particles h_1 and h_2 and the opposite charge particles h_1 and \bar{h}_2 ;
- **Access to the "string-like hadronization".**

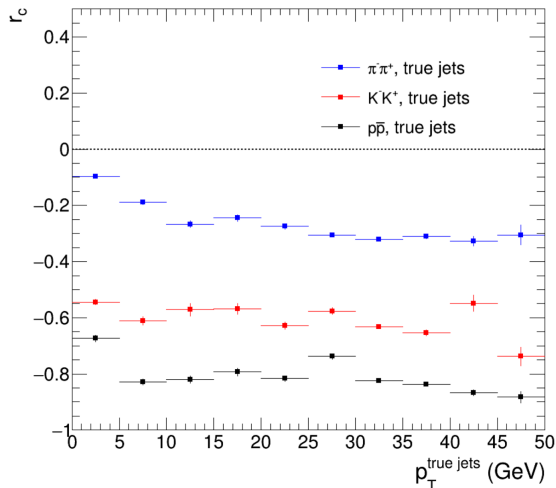


Observable:

$$r_c(X) = \frac{d\sigma_{h_1 h_2}/dX - d\sigma_{h_1 \bar{h}_2}/dX}{d\sigma_{h_1 h_2}/dX + d\sigma_{h_1 \bar{h}_2}/dX}$$

where h_1 (L), h_2 (NL) $\in (\pi^\pm, K^\pm, p)$

Charge-energy scaling



- **Significant differences** in r_c observed for various flavor combinations;
- **Remarkable scaling** as a function of p_{\perp}^{jet} .

Hadronization process

Formation time

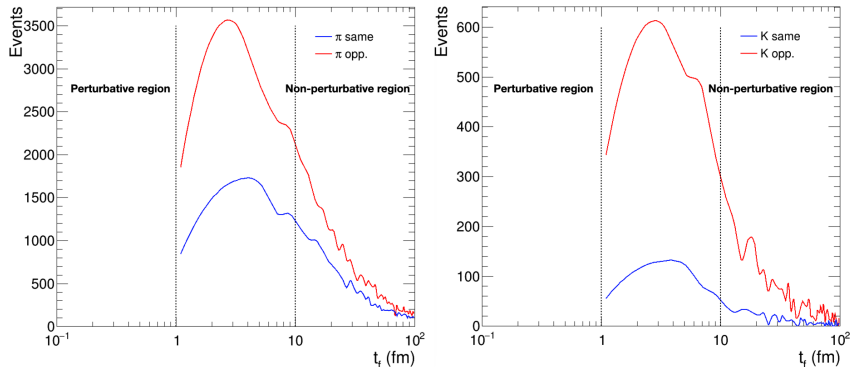
$$t_f = \frac{2z(1-z)P}{k_{\perp}^2}$$

- P : total momentum of L and NL particles;
- k_{\perp} : relative transverse momentum between L and NL particles;
- z : momentum fraction of NL particle.

Goals

- **Charge-energy correlation with t_f** for pions, kaons and protons;
- Probe **the flavor dependence of the hadronization process** inside a jet.

Formation time



- **Two relevant regions:**

- 1 Perturbative region for $t_f \lesssim 10$ fm;
- 2 Non-perturbative region for $t_f \gtrsim 10$ fm.

- **Difference in time formation** between different mesons.

Drell-Yan at sPHENIX

- **Unique opportunity to probe CNM effects;**
- **No LPM energy loss expected** at sPHENIX energy;
- **Complementary phase space** between fixed targets and LHC energies;
- Can give an **additional constraint** on the transport coefficient.

Not only DY ... use the mass spectrum fit to study the Upsilon suppression (mass dependence of energy loss).

Jets at sPHENIX

- **Unique opportunity to probe the internal jet structure;**
- **Remarkable scaling** of r_c as a function of p_\perp jet;
- Access to the **flavor dependence of the hadronization time.**