

# Towards a universal description of hadronic phase of QCD

**Dr. Aman Abhishek<sup>1</sup>    Dr. Sayantan Sharma**

<sup>1</sup>Post Doctoral Fellow

**Institute of Mathematical Sciences, Chennai, India**

**19<sup>th</sup> International Conference on QCD in Extreme Conditions  
University of Coimbra, Portugal, 26<sup>th</sup> July, 2023**



# Outline

- 1 Motivation
- 2 Nuclear Models
- 3 Results
- 4 Conclusions and future directions

# Motivation

- Finite temperature and finite density QCD explored using effective models such as PNJL, PQM, HRG, etc.
- Study in a purely hadronic model keeping confinement in mind.
- Nuclear mean field models well constrained from data.
- Learn what nuclear mean field models can tell us about finite temperature QCD.
- Universal hadronic interactions within the confined phase of QCD.

# Nuclear Model

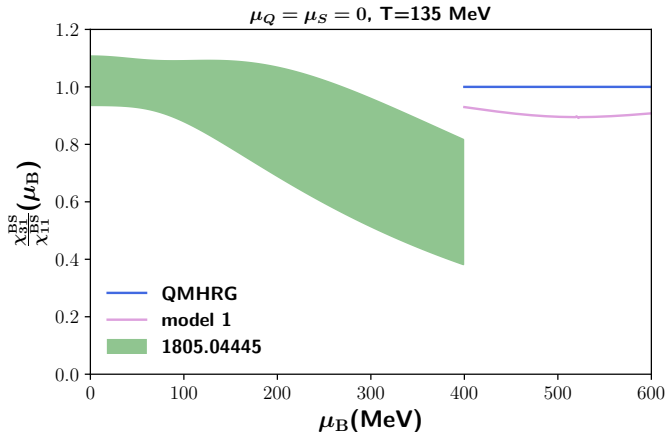
- Nuclear Models work well at high densities.
- Constrained from experiments such as neutron skin depth, maximum mass of neutron star, nuclear saturation properties, tidal deformability, etc.
- Consist of nucleons, hyperons interacting through sigma, omega, strange meson fields, etc.
- Have attractive and repulsive interactions built in.

# Phys. Rev. C. 99, 052802, R. Nandi, P. Char, S. Pal

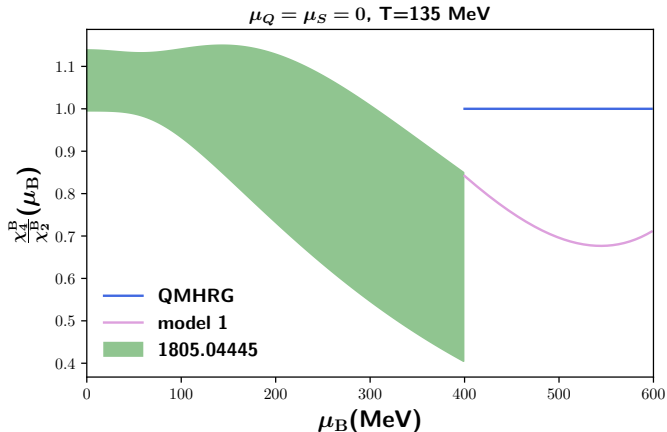
- Considered about 269 models.
- Three models were found to be best fit.
  - Greco-Liu : Doesn't have strange degrees of freedom.
  - $NL\rho$  : Couplings are density dependent.
  - Bunta-Gmuca : Contains strange degrees of freedom.

# RESULTS

# $\chi_{31}^{BS} / \chi_{11}^{BS}$ in Bunta-Gmuca model



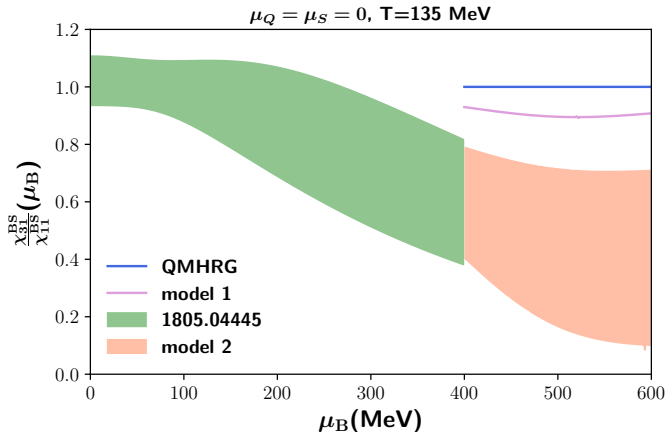
# $\chi_4^B / \chi_2^B$ in Bunta-Gmuca model





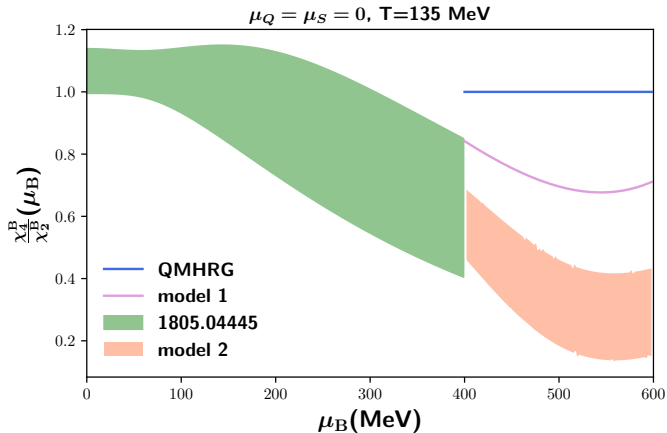
# Extension to finite temperature

- Nuclear mean field models have too few degrees of freedom.
- Hadronic spectrum is known to be much larger.
- Couplings of heavier hadrons unknown, hence we introduce couplings
  - $g_{Non-strange} = \alpha_{NS} g_P$
  - $g_{strange} = \alpha_S g_\Lambda$ .

$\chi_{31}^{BS} / \chi_{11}^{BS}$  in extended model

# Fitting $\chi_{31}^{BS} / \chi_{11}^{BS}$

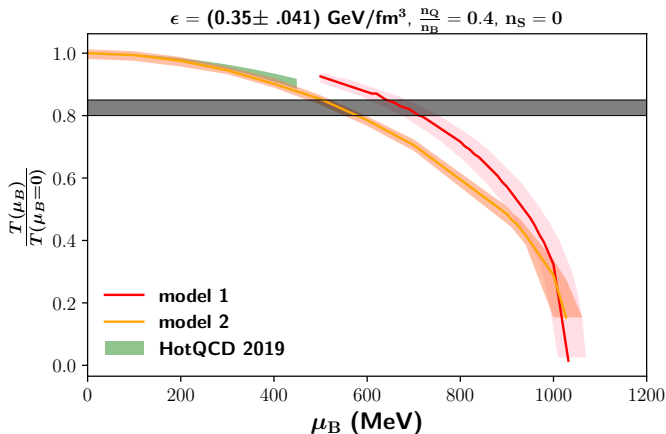
- To match upper boundary of lattice band in  $\chi_{31}^{BS} / \chi_{11}^{BS}$ 
  - $\alpha_{NS} = 0.15, \alpha_S = 0.15$ .
  
- To match lower boundary of lattice band in  $\chi_{31}^{BS} / \chi_{11}^{BS}$ 
  - $\alpha_{NS} = 0.2, \alpha_S = 0.7$ .

$\chi_4^B / \chi_2^B$  in extended model

## Few observations regarding couplings

- $\chi_{31}^{BS}/\chi_{11}^{BS}$  was found to be more sensitive to  $\alpha_S$ .
- $\chi_4^B/\chi_2^B$  was found to be more sensitive to  $\alpha$ .
- Minimum value of  $\alpha_{NS}=0.15$  is needed to cover the lattice band.
- Value of  $\alpha_{NS} > 0.2$  tends to overestimate lattice band in  $\chi_4^B/\chi_2^B$ .

# Constraining the location of critical end point



# Conclusions

- Extension of nuclear model and comparison with lattice gives better estimates of susceptibility.
- $\sigma - \omega$  interaction may be important.
- More precise lattice data in future can constrain nuclear models.

# Future Directions

- A universal hadronic model can be constrained by both lattice QCD and high density data.
- If such a model is found it may also give reasonable estimate of CEP and first order line.
- Beyond mean field calculations are important.





Thank  
You!