



# Probing Nuclear Sizes with Precision Spectroscopy in Bosonic and Fermionic Helium

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*LaserLaB VU Amsterdam*

*Ascona, 07-07-2023*

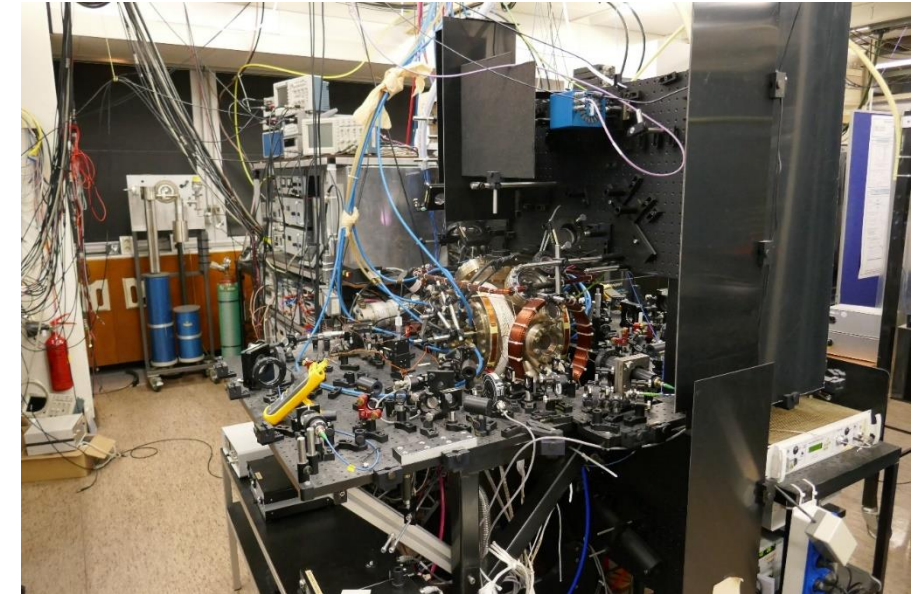
# Precision measurements for fundamental physics

*Fundamental Physics*

*Tabletop Experiments*

- High precision measurements
- Bound-state QED (theory collaborators)

*He, He<sup>+</sup>, H<sub>2</sub>, HD, HT, HD<sup>+</sup>, H<sub>2</sub><sup>+</sup>, ...*

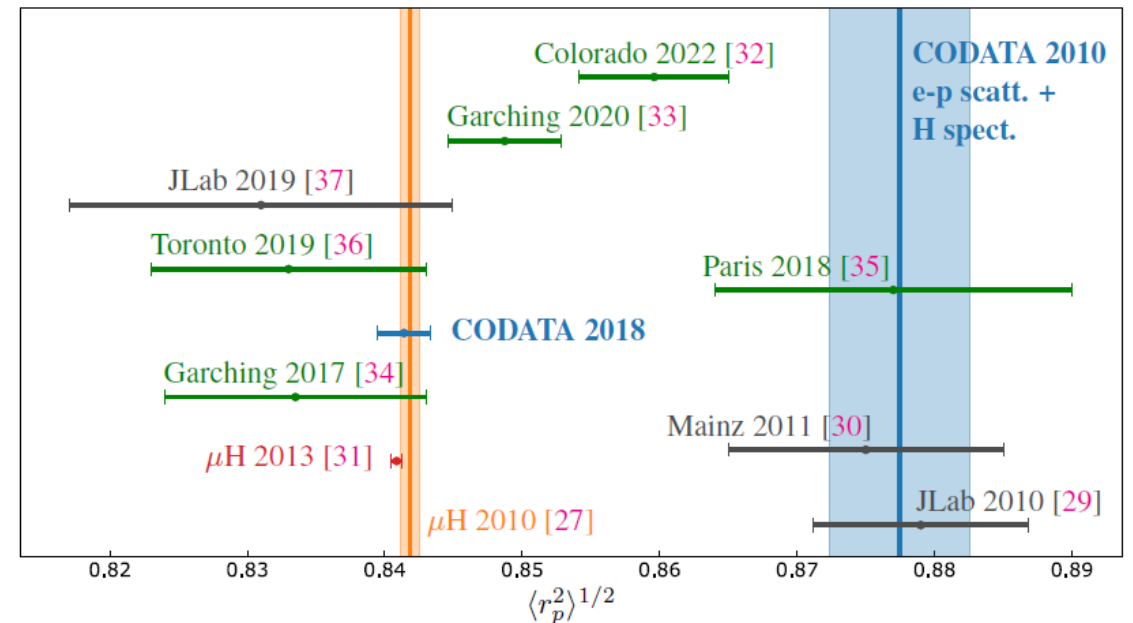
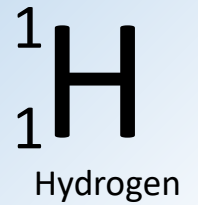


**Simple, calculable, systems**

# Precision measurements For fundamental physics

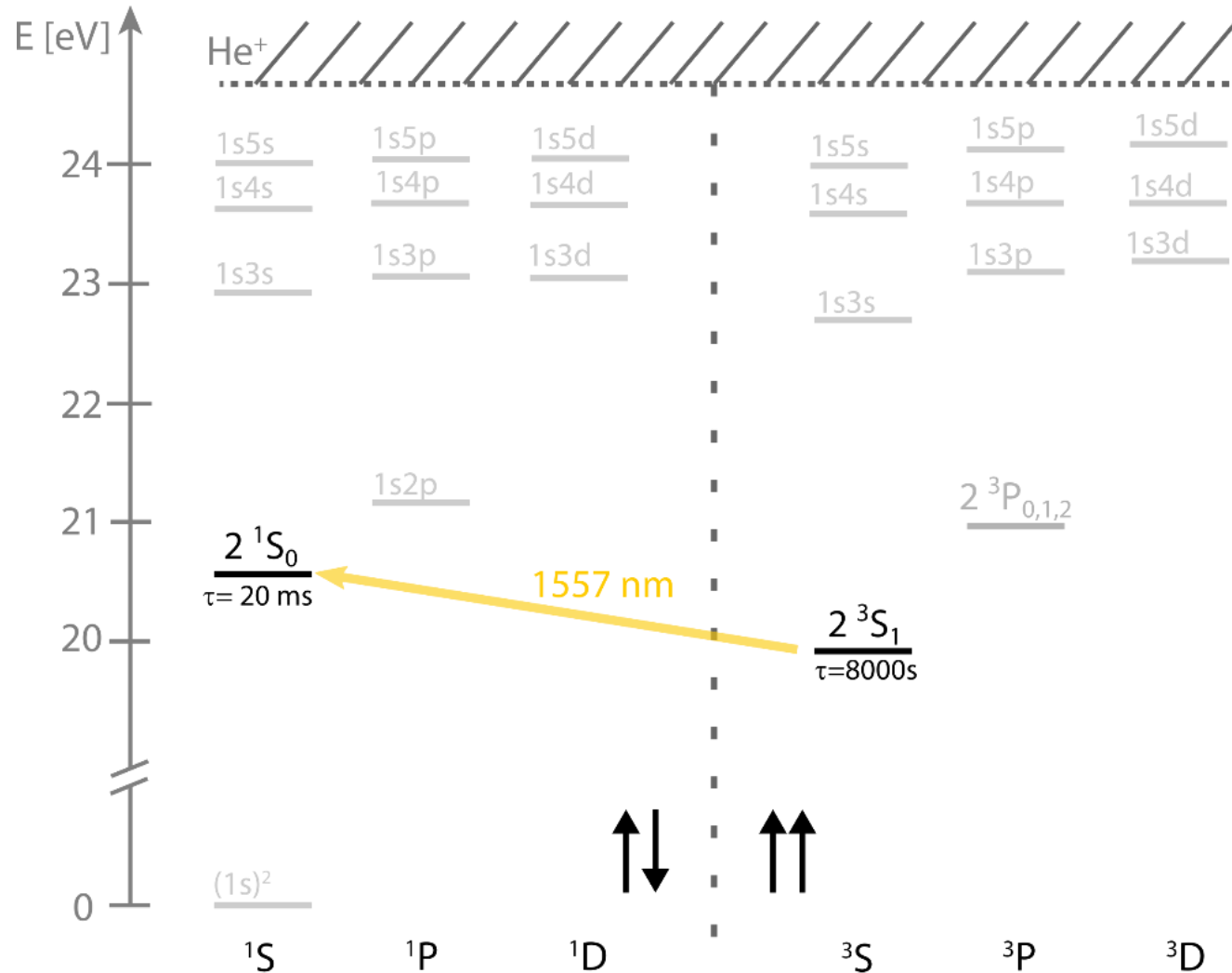
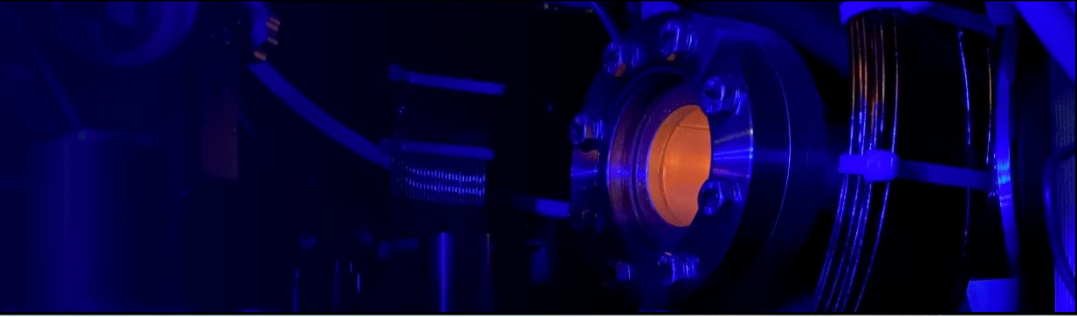
## Simple, calculable, systems

- H-atom:  $1S \rightarrow 2S$  transition
  - 2S metastable level: narrow linewidth
  - $4.5 \cdot 10^{-15}$  precision [1]
  - Cornerstone for QED calculation
- Combined with other transitions
  - proton charge radius  $r_p$  and  $R_\infty$
  - ‘proton radius puzzle’

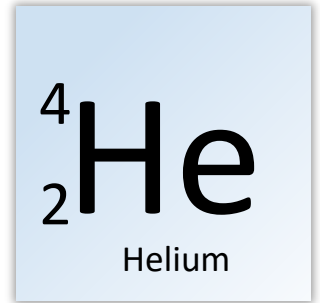




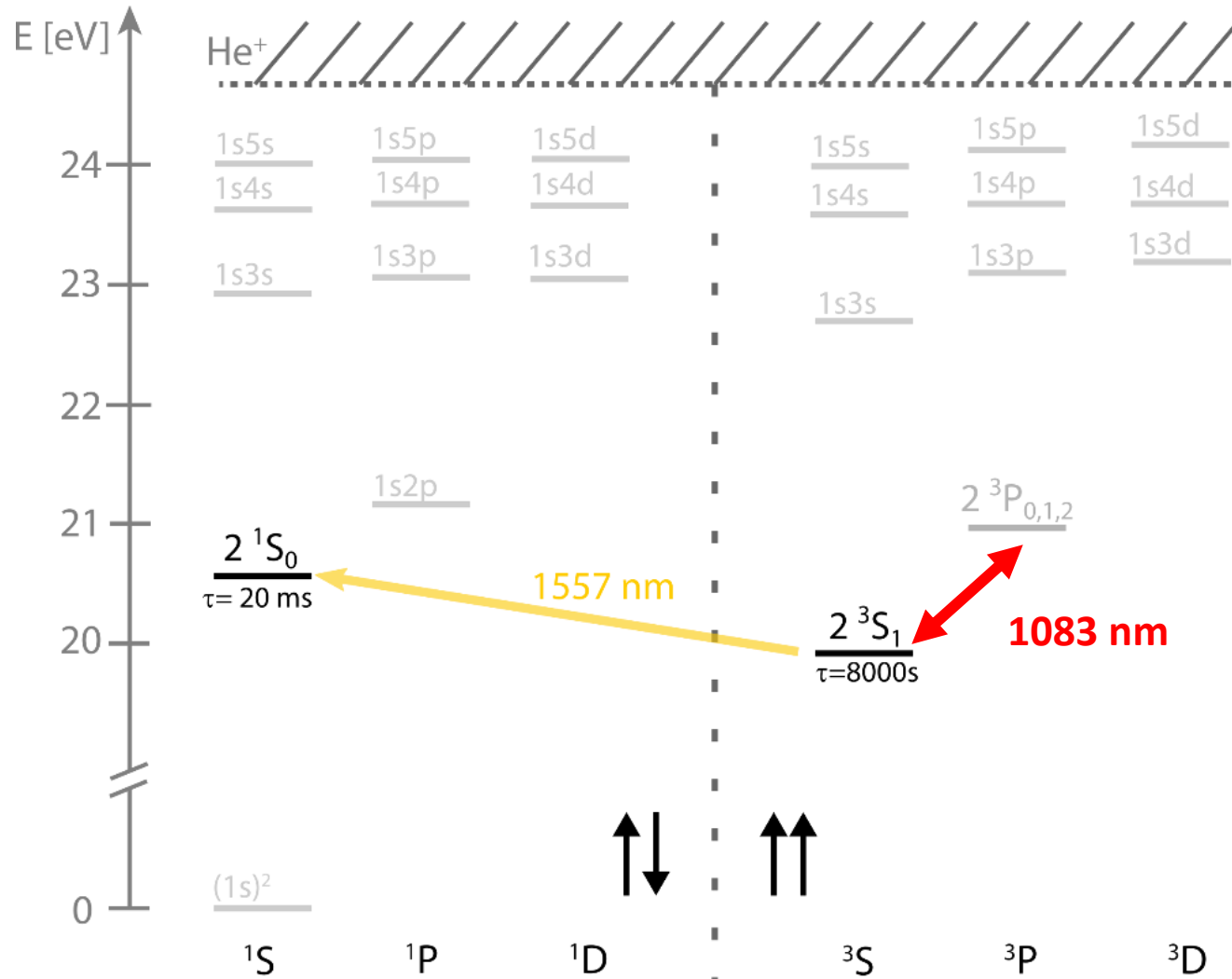
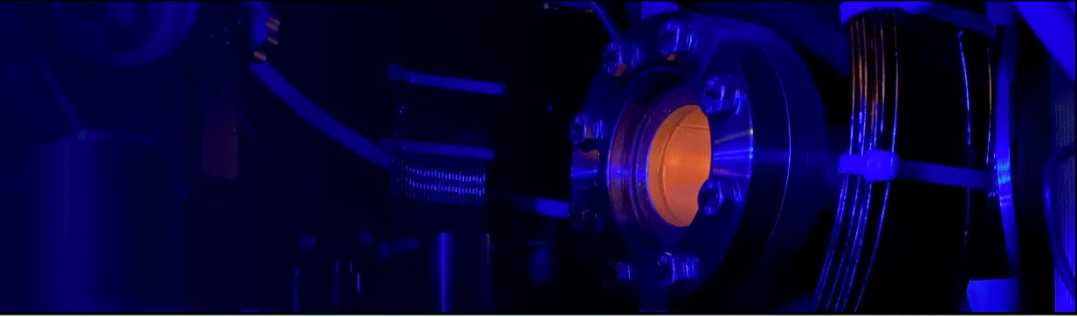
# Precision measurements For fundamental physics



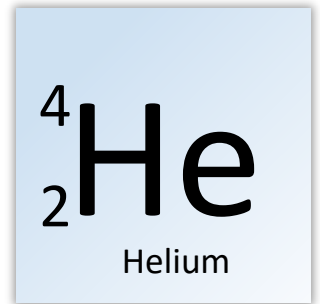
- Next atom, He
- Two electrons:
  - Singlet/Triplet structure
- Two 2S metastable levels:
  - Narrow transition at 1557 nm
  - First measured in 2011 at VU (van Rooij *et al.*)



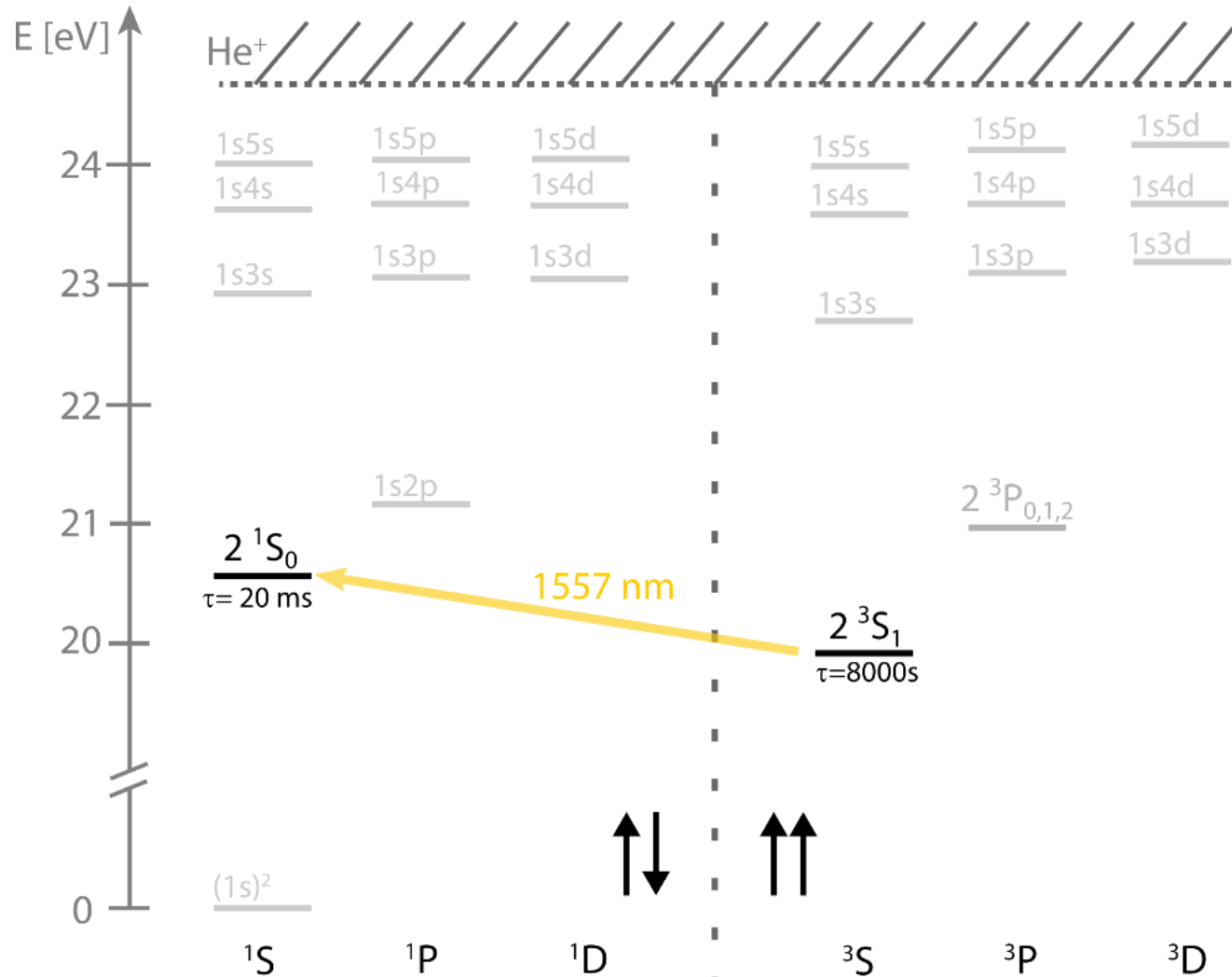
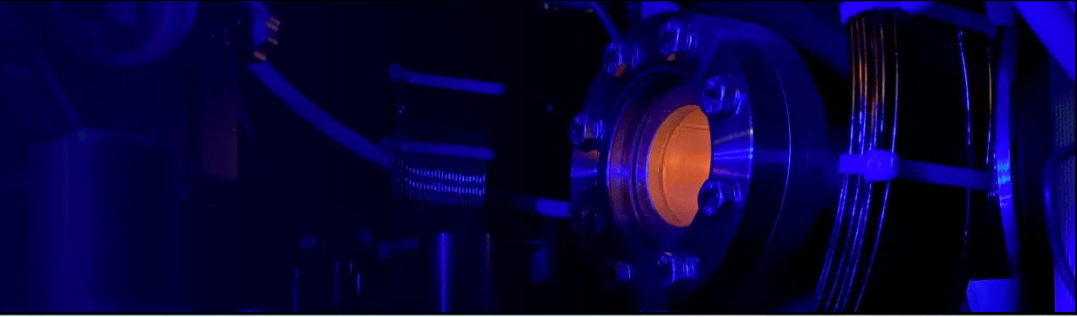
# Precision measurements For fundamental physics



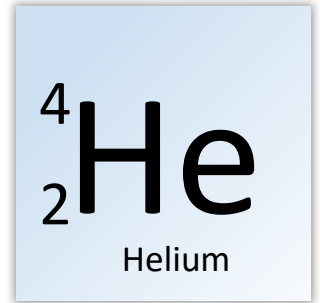
- Next atom, He
- Two electrons:
  - Singlet/Triplet structure
- Two 2S metastable levels:
  - Narrow transition at 1557 nm
- 2<sup>3</sup>S<sub>1</sub> state:
  - Laser cooling and trapping
  - Degree of control
  - Reduce Doppler
  - **Let's get QUANTUM**



# Precision measurements For fundamental physics

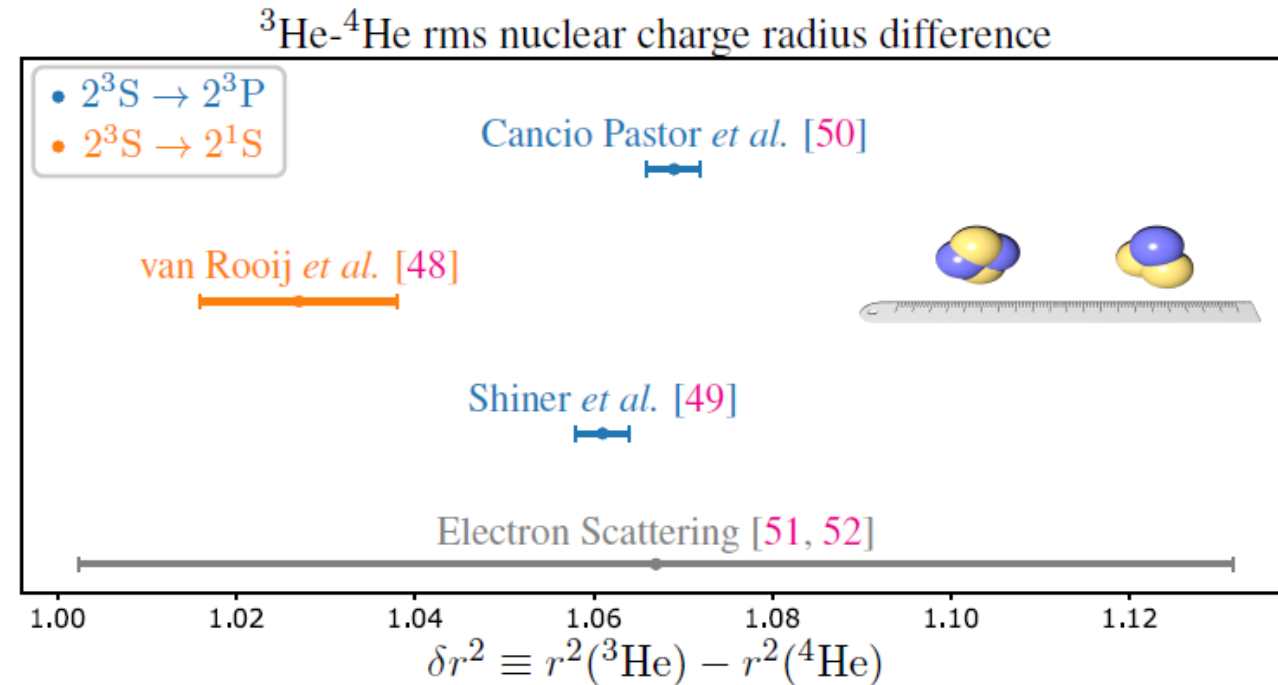


- Next atom, He
- Two electrons:
  - Singlet/Triplet structure
- BUT: complicated QED theory from electron-electron terms
- SOLUTION:  $^3\text{He}$ - $^4\text{He}$  isotope shift
  - Most difficult terms drop out
  - Nuclear sizes:  $\delta r^2 = r_3^2 - r_4^2$

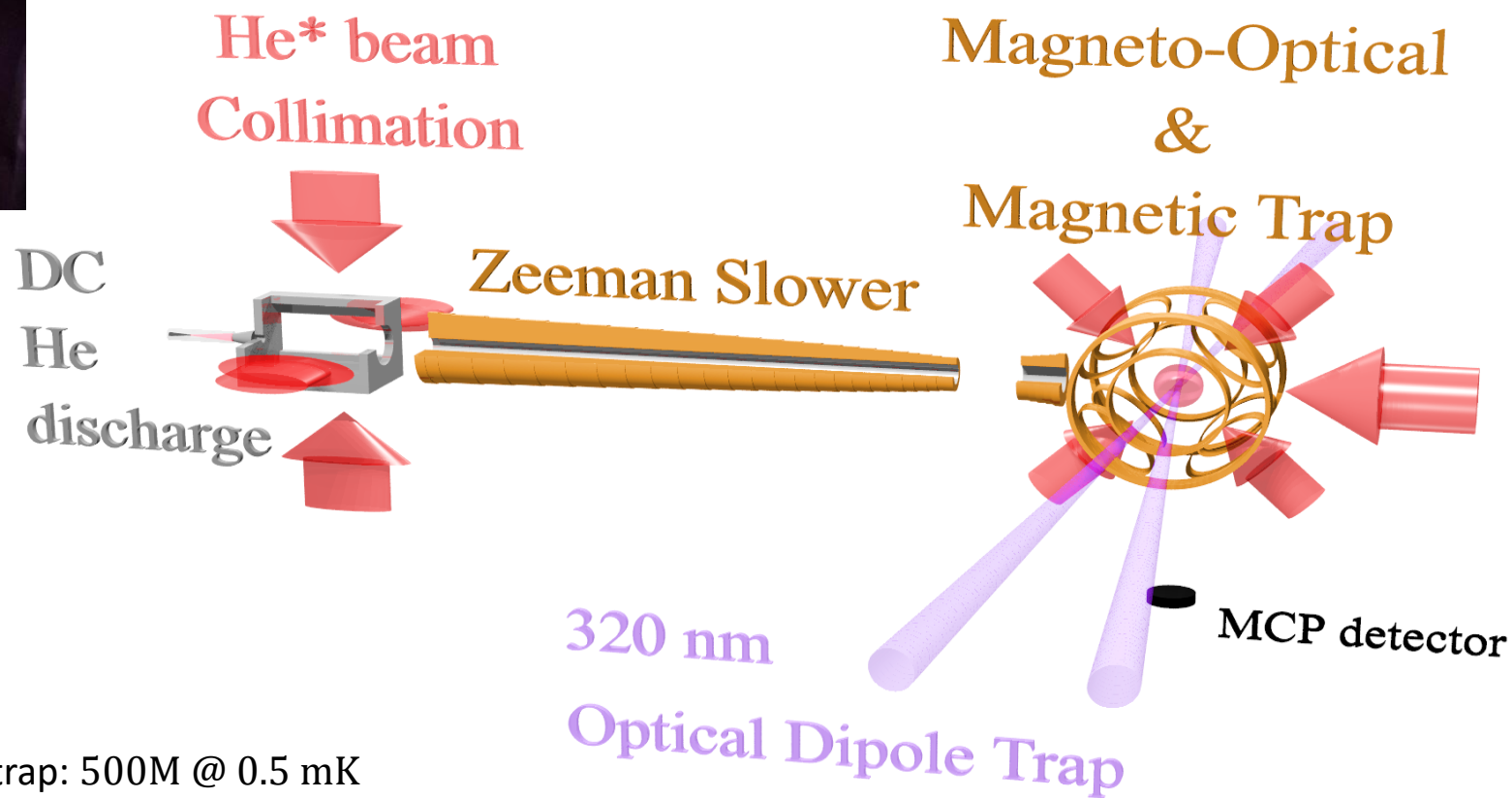
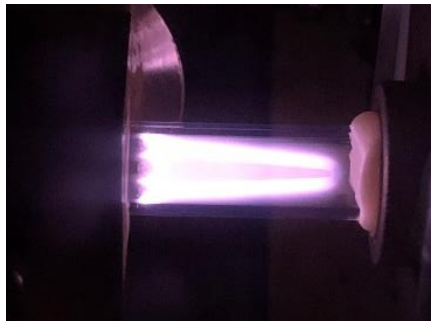


# The helium atom

- Measure **isotope shift**:
    - Electron-electron terms drop out
    - *Finite nuclear size remains*
    - Scattering data too inaccurate
  - Approach:
    - Measure  $^3\text{He}$ - $^4\text{He}$  isotope shift
    - Extract differential charge radii  $r_3^2 - r_4^2$  using QED theory
    - Compare with other measurements:
      - Spectroscopic, scattering,  $\mu\text{He}^+$
- Consistency check**

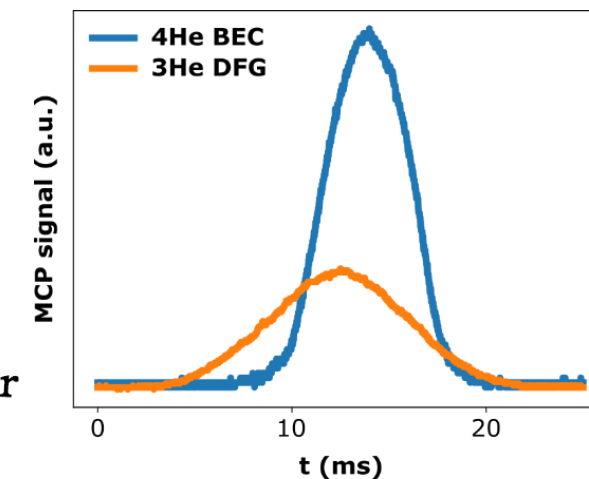


# Quantum degenerate He\*



## Atom detection

- Microchannel plate
- 20 eV internal energy
- Time-of-flight fitting:  $N, \mu, T$



## Cooling sequence:

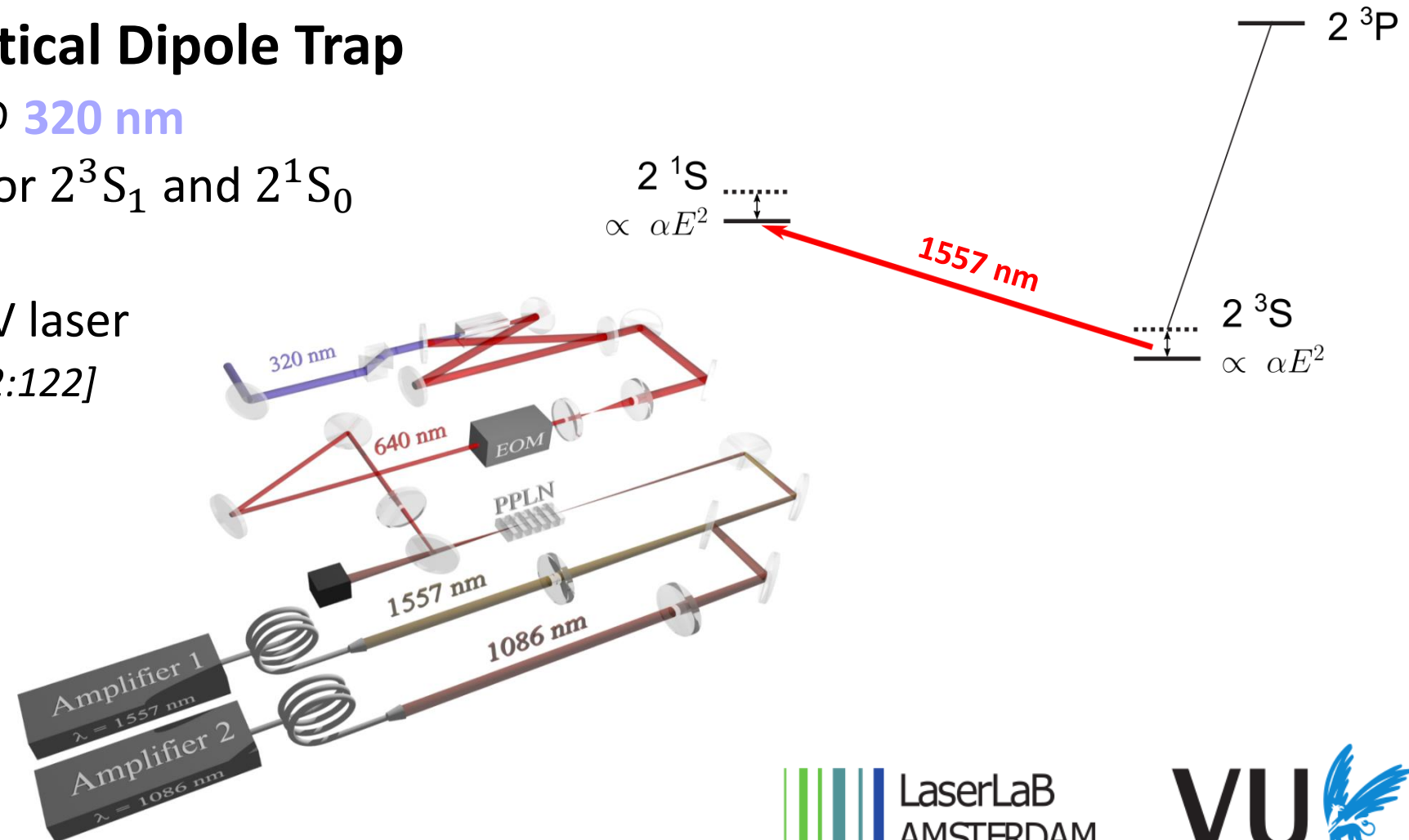
- Magneto-optical trap: 500M @ 0.5 mK
- Doppler cooling in Magnetic Trap: 200M @ 130  $\mu$ K
- Evaporative cooling: quantum degenerate gas  $\leq 1 \mu$ K
- Transfer to Optical Dipole Trap (ODT)



# Precision Spectroscopy

- **Magic wavelength Optical Dipole Trap**

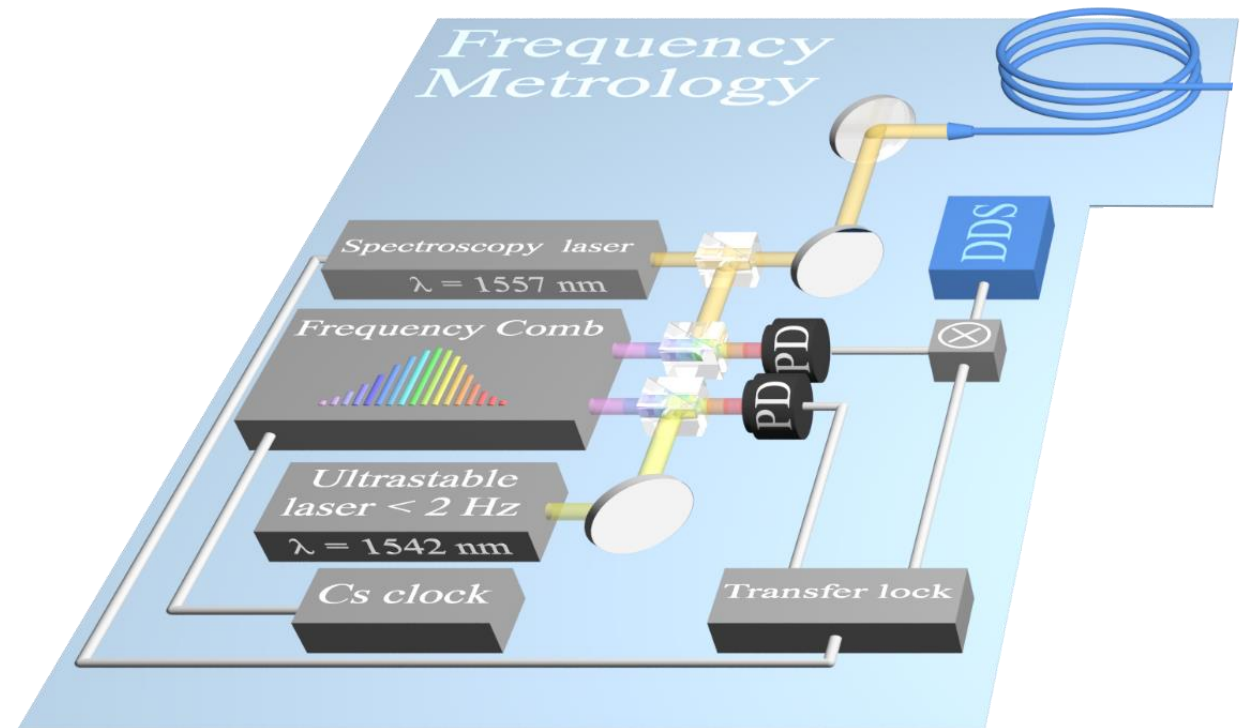
- 'magic wavelength' @ **320 nm**
- Same trap potential for  $2^3S_1$  and  $2^1S_0$
- No ac-Stark shift
- Homebuilt 2 W cw UV laser  
*[Appl. Phys. B (2016) 122:122]*



# Precision spectroscopy

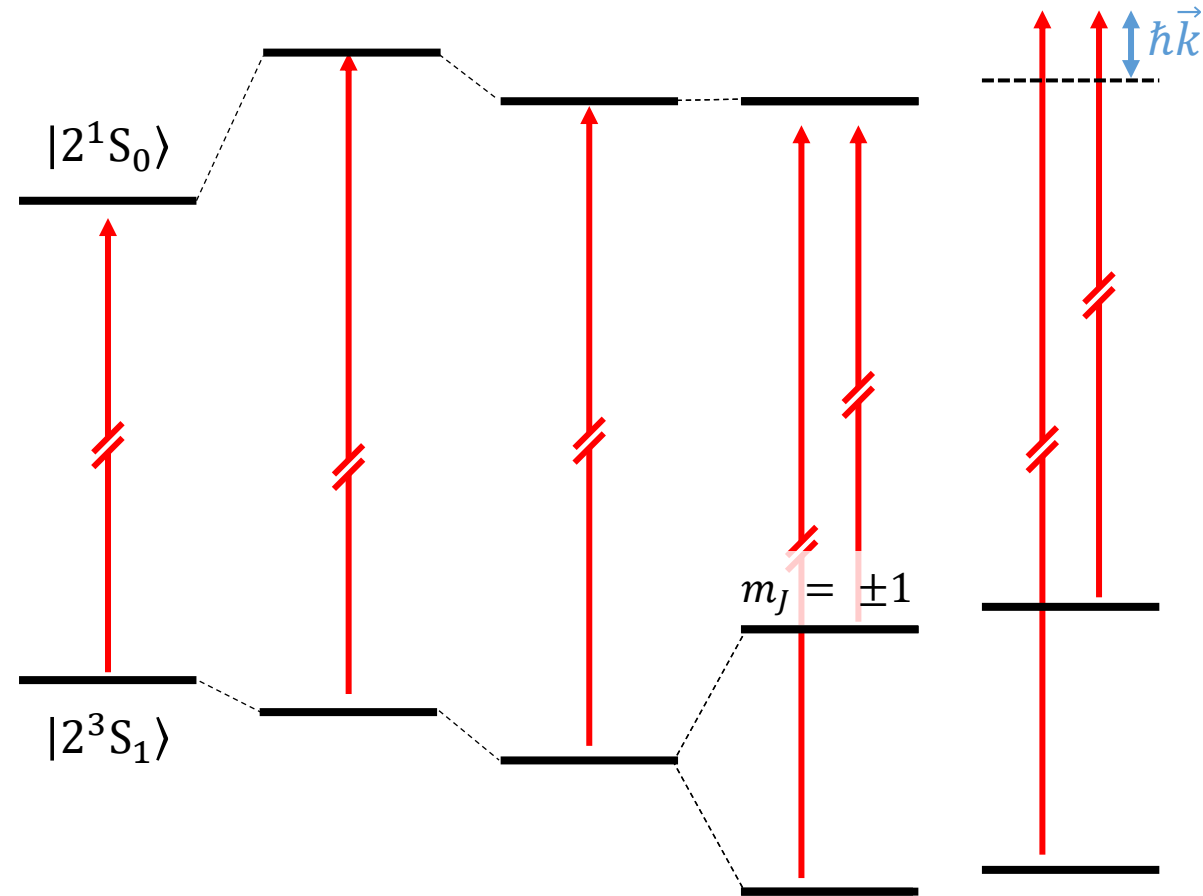
Two ingredients for precision spectroscopy:

- Magic wavelength dipole trap
- Frequency metrology:
  - Cs clock frequency standard
  - Optical frequency comb
  - Ultra stable ( $< 2$  Hz) reference laser



# Precision spectroscopy

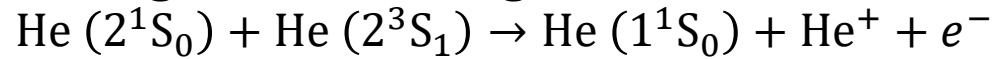
- Measure *unperturbed*  $2^3S_1 \rightarrow 2^1S_0$  transition
- Systematics effects:
  - Spectroscopy Stark shift: extrapolate
  - Dipole trap Stark shift: magic  $\lambda$
  - Zeeman shift: spin-stretched states
  - photon recoil: exactly known
  - Interactions: **mean-field shift**



# Spectroscopy of a $^4\text{He}$ BEC

- Dominated by collisions:

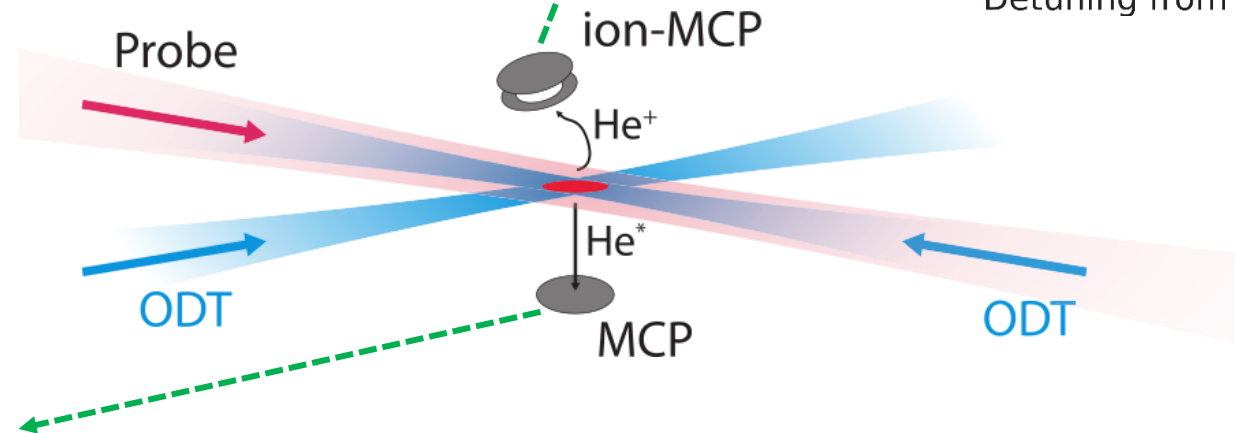
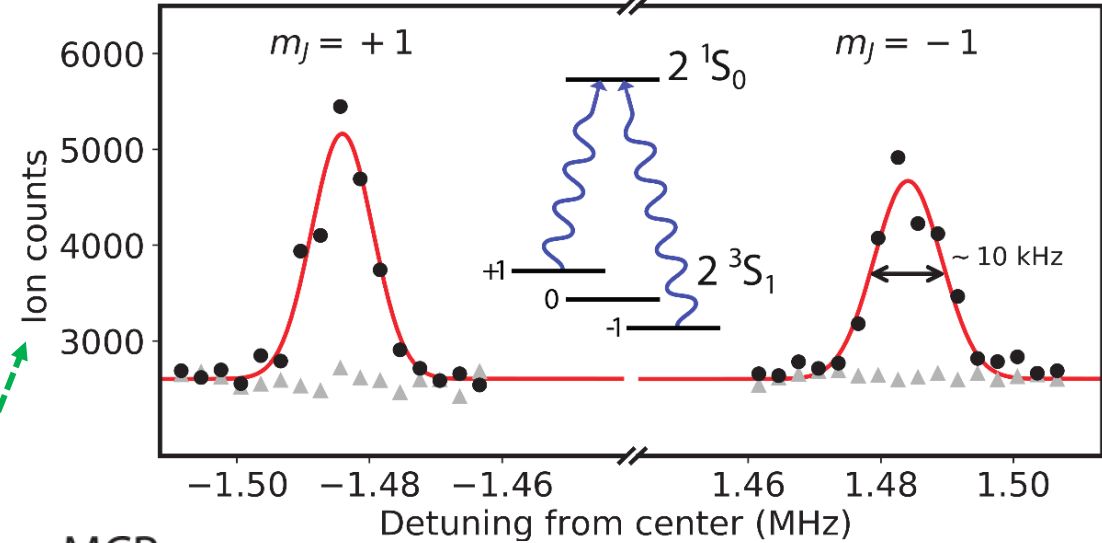
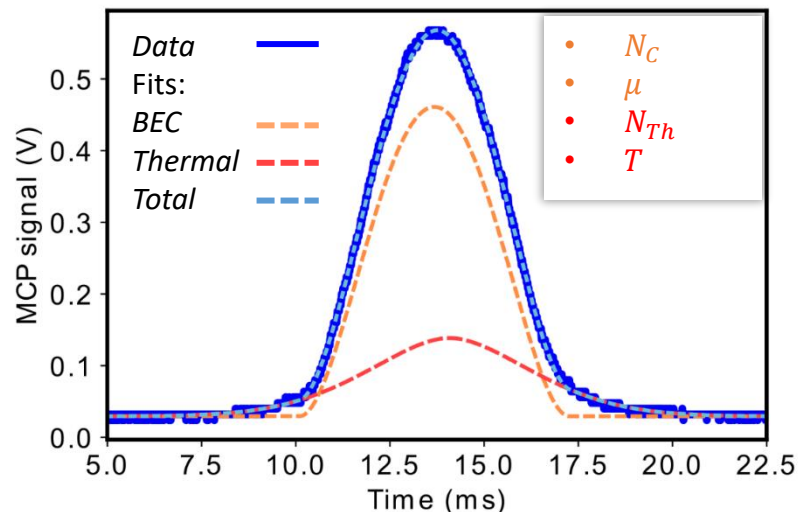
- Penning ionization signal



- **Cold-collision shift:**

$$\langle \Delta\nu \rangle \propto \frac{a_{ts} - a_{tt}}{a_{tt}} \mu$$

single shot TOF:





# Spectroscopy of a $^4\text{He}$ BEC

- Systematics analysis:

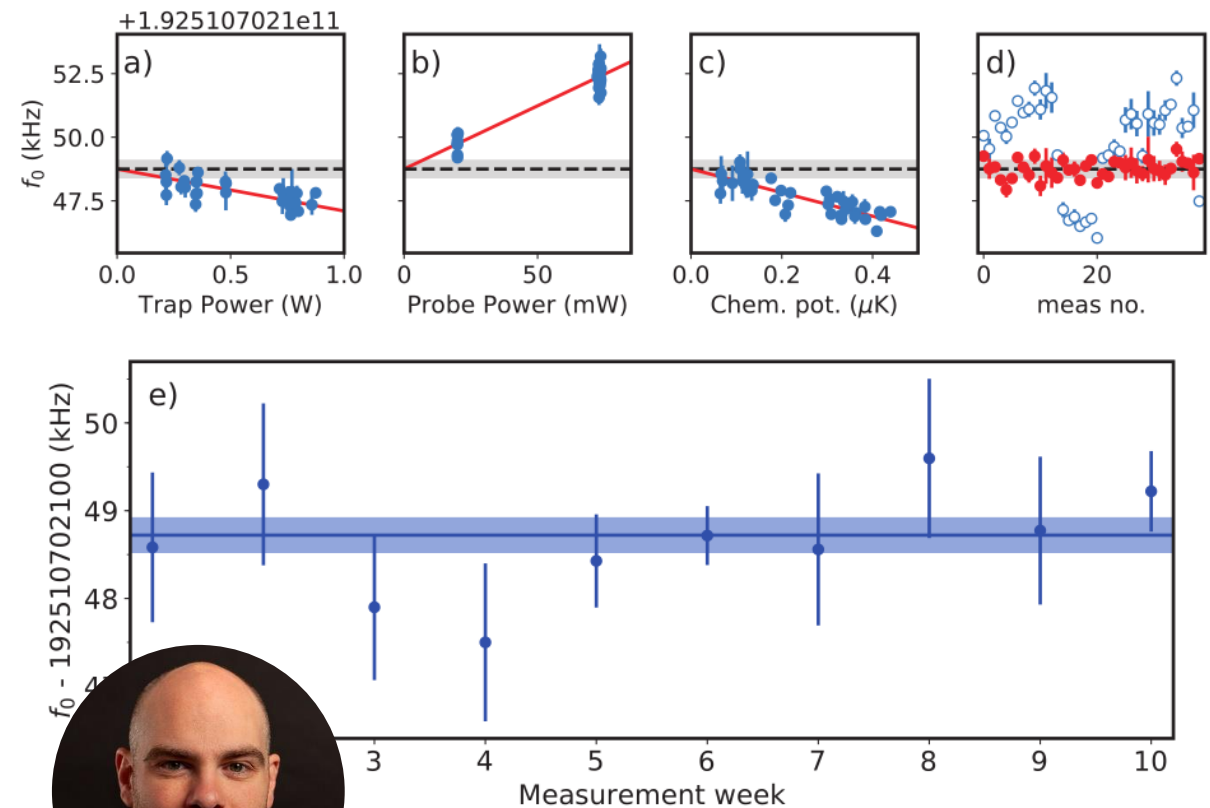
- Spectroscopy laser ac-Stark
- Dipole trap (residual) shift
  - $\lambda_m = 319.81592(15) \text{ nm}$

- Cold-collision shift:  $\langle \Delta\nu \rangle \propto \frac{a_{ts} - a_{tt}}{a_{tt}} \mu$ 
  - $a_{ts} = 82.5(5.2) a_0$

- $2^3S_1 \rightarrow 2^1S_0$  transition:
  - $192\,510\,702\,148.72(0.20) \text{ kHz}$

Most accurate transition in helium ( $10^{-12}$ )  
Three benchmarks for the  $^4\text{He}$  atom

*Nat. Phys.* **14**, 1132-1137 (2018)



Bob Rengelink



# Working with $^3\text{He}$

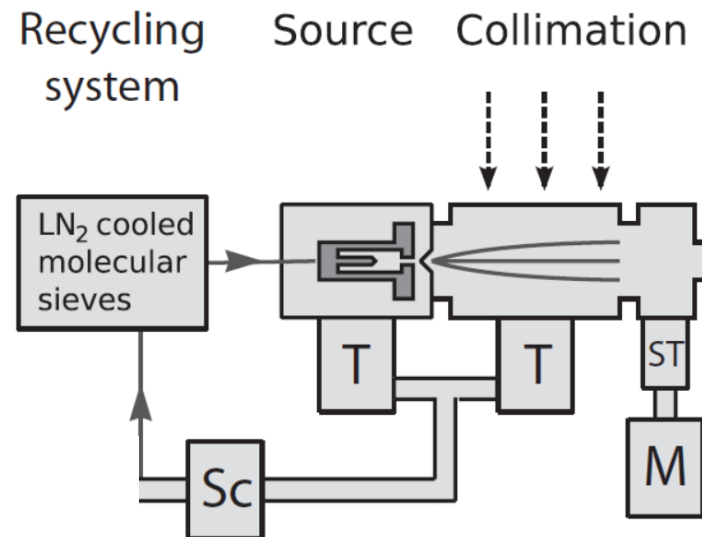
Production of a Degenerate Fermi Gas of  $^3\text{He}^*$   
and investigation of the  $2^3S_1 \rightarrow 2^1S_0$  spectra

# Working with $^3\text{He}$

- Low natural abundance
- Recycling system



|                   | $^3\text{He}$           | $^4\text{He}$           |
|-------------------|-------------------------|-------------------------|
| Atomic mass       | 3.016 amu               | 4.0026 amu              |
| Natural abundance | 0.00014 %               | 99.99986 %              |
| Nuclear spin      | $\frac{1}{2}$           | 0                       |
| Cost              | \$2000/L <sup>[1]</sup> | \$0.07/L <sup>[2]</sup> |

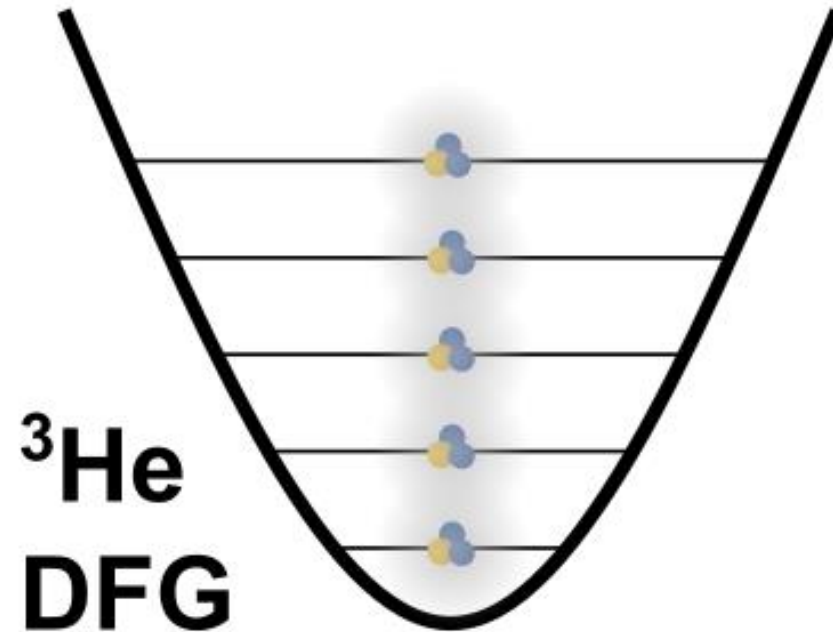


[1] *Physics Today* **62**, 10, 21 (2009)  
[2] Local party balloon store (2020)

# Working with $^3\text{He}$

**Pauli principle:  
Ultracold Identical Fermions don't  
collide!**

- Sympathetic cooling with  $^4\text{He}$
- Fermi-Dirac distribution:  
*Doppler broadening*
- No Penning ionisation signal:  
*Measure trap depletion*
- No collisional shift \*

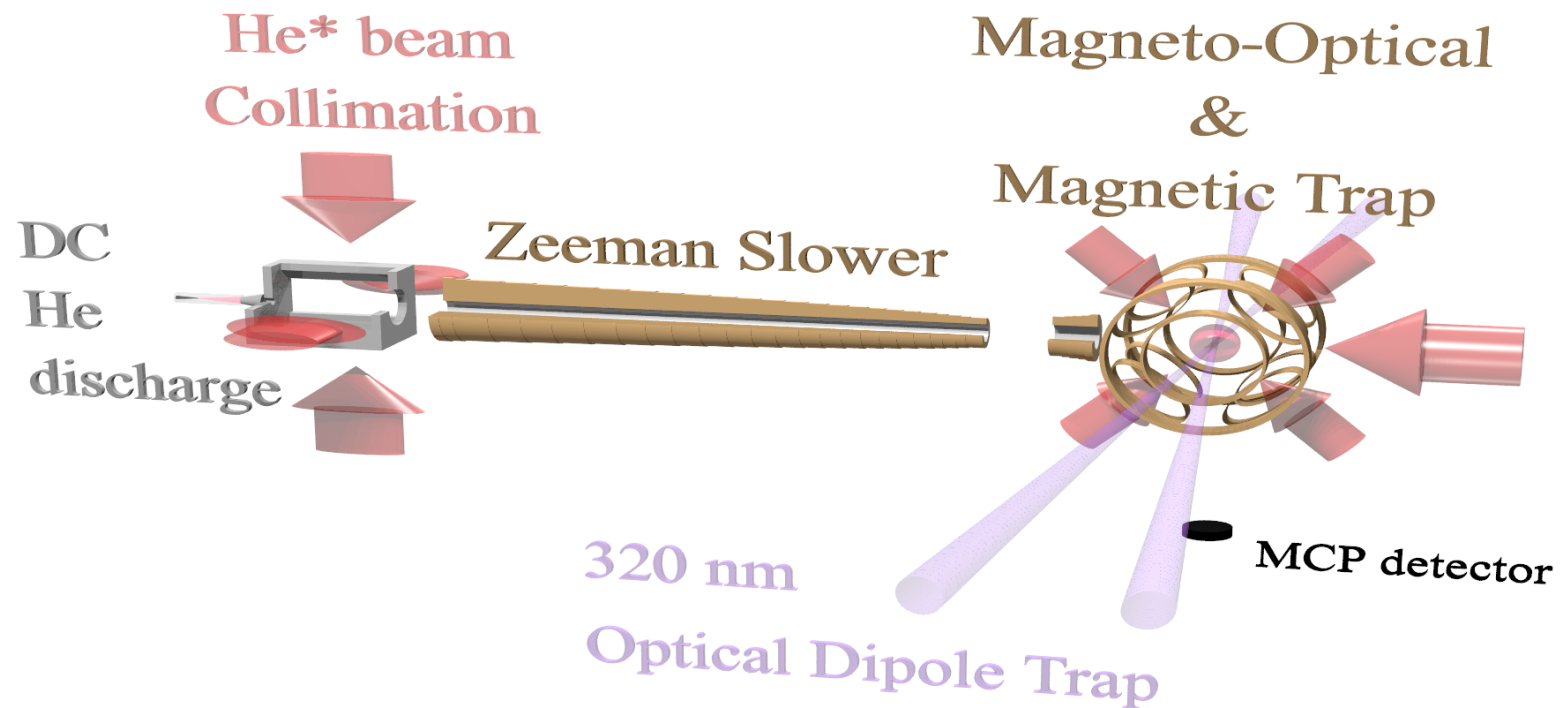
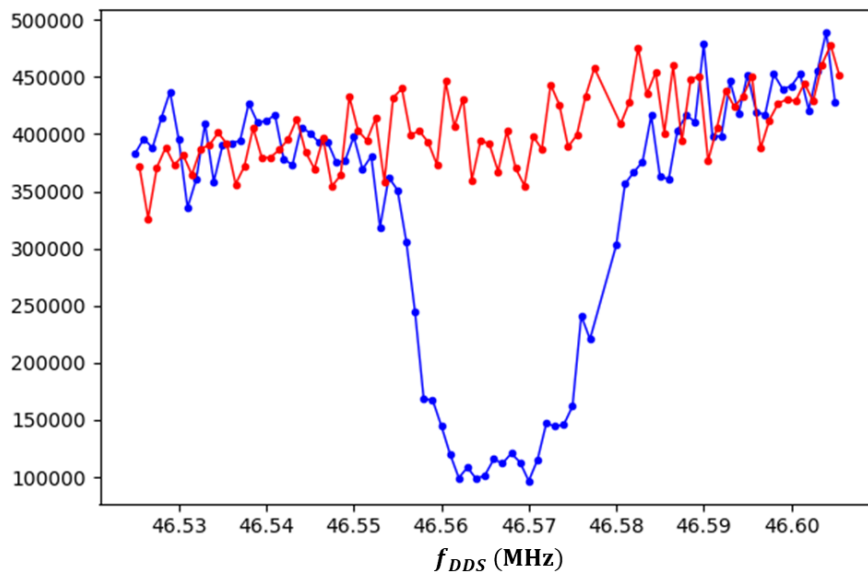




# Working with $^3\text{He}$

- Sympathetic cooling with  $^4\text{He}$
- Fermi-Dirac distribution:  
*Doppler broadening*
- No Penning ionisation signal:  
*Measure trap depletion*
- No collisional shift \*

N vs DDS



# $2^3S_1 \rightarrow 2^1S_0$ spectroscopy

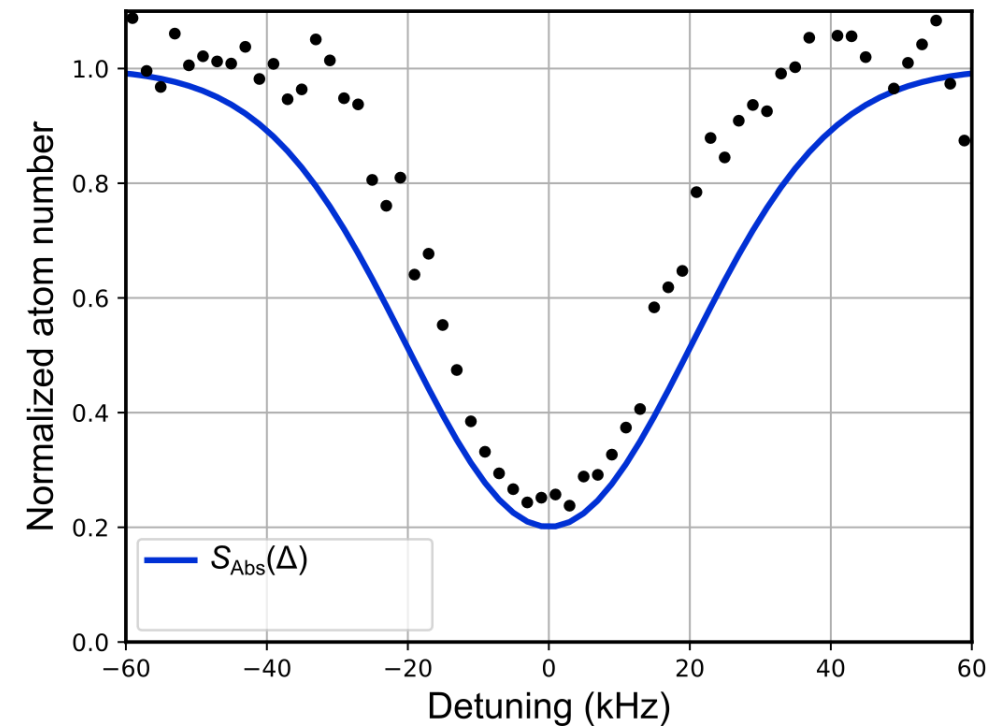
- Fermion line profile: Doppler broadening

$$S(\Delta) \propto \int \int \rho_g \delta(\omega - \omega_0) d^3\vec{r} d^3\vec{k}$$

*Fermi-Dirac resonance*

Juzeliūnas & Mašalas, *PRA* **63**, 061602 (2001)

- Expect Doppler broadening:  $FWHM \leftrightarrow T_F$
- But wait, reduced linewidth!



# Understanding the spectral lineshape

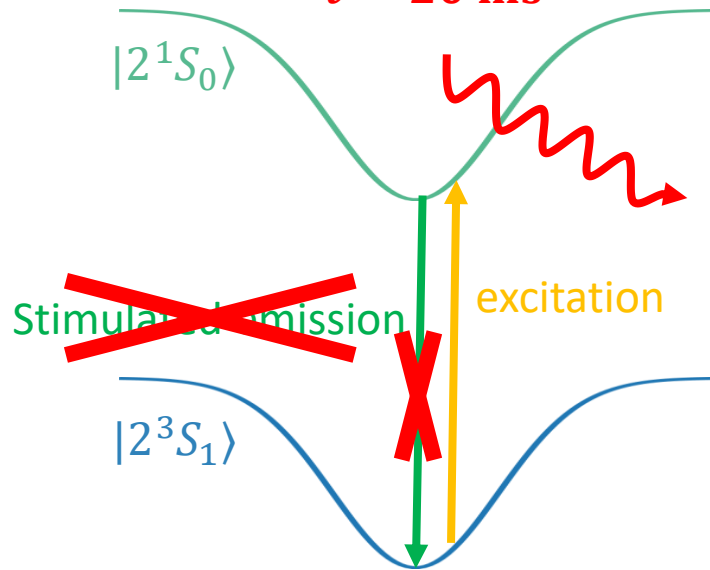
$$S(\Delta) \propto \int \int \left[ \rho_g - \rho_g(1 - \rho_g) \delta(\omega - \omega_0) \right] d^3\vec{r} d^3\vec{k}$$

Excitation

Blockade

Resonance

Decay  $2^1S_0 \rightarrow 1^1S_0$ :  
 $\tau = 20 \text{ ms}$



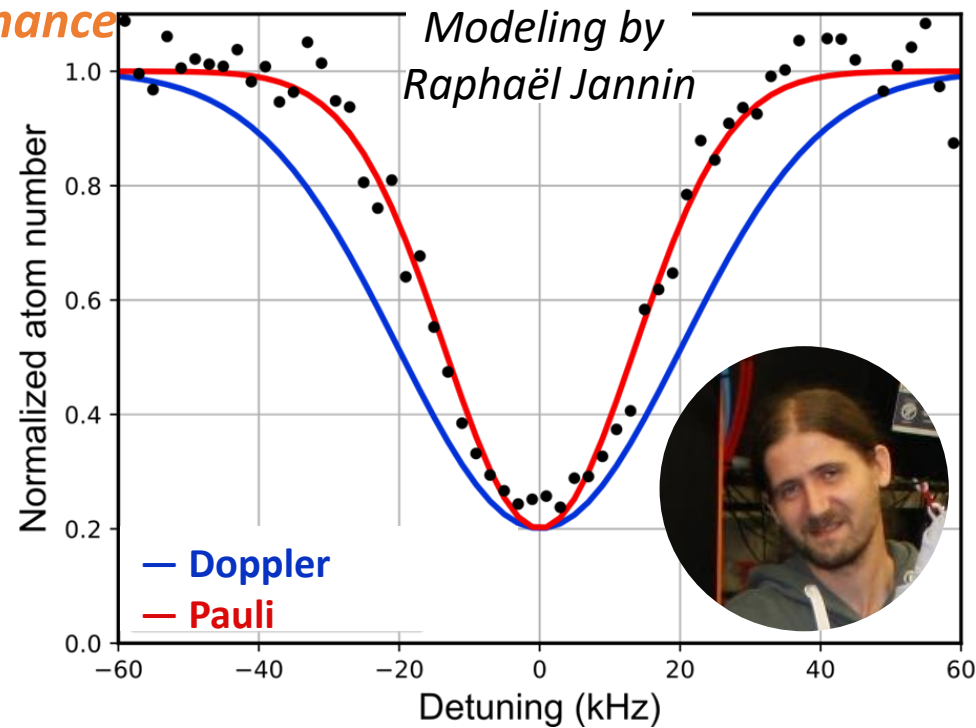
~~Stimulated emission~~

excitation

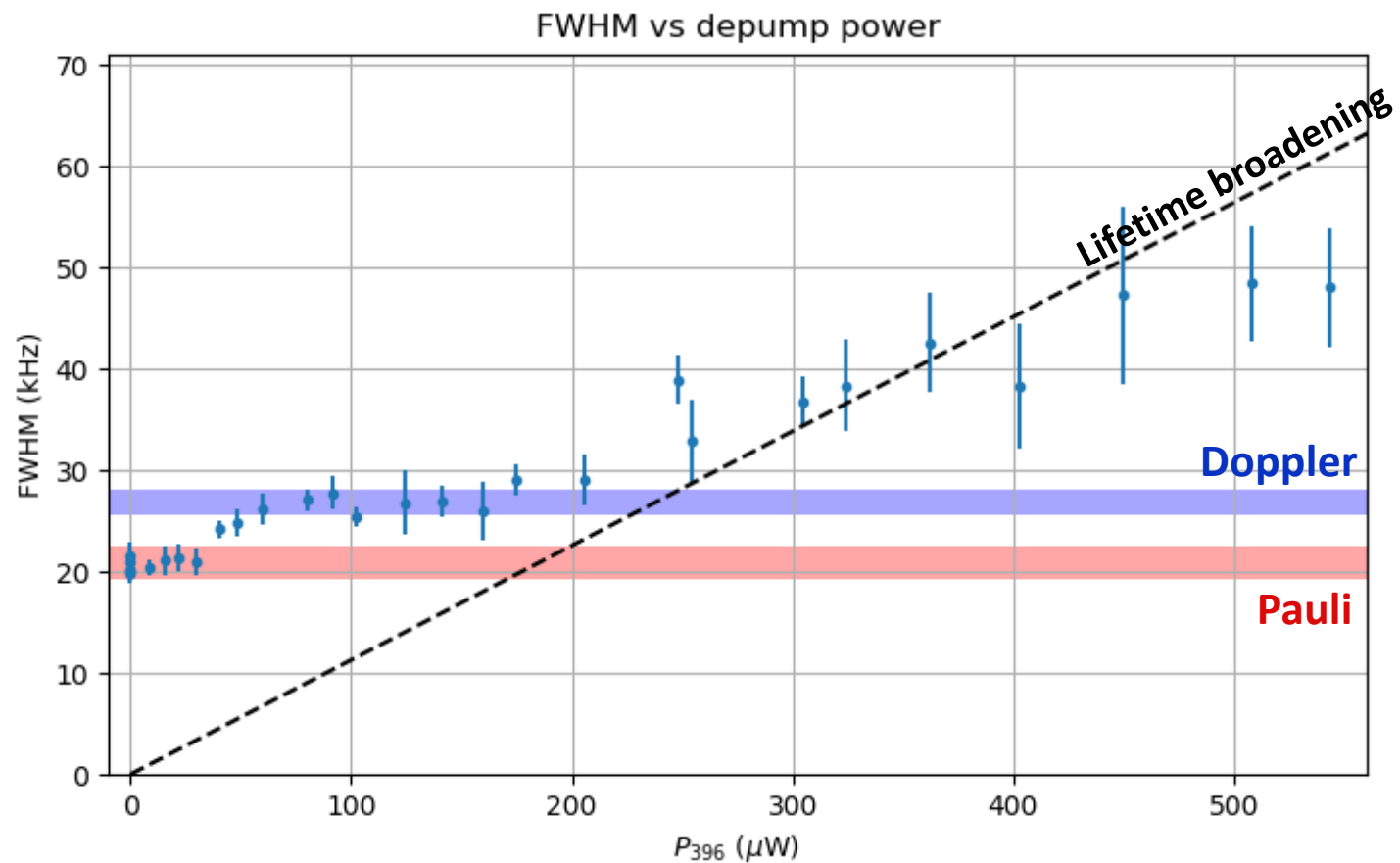
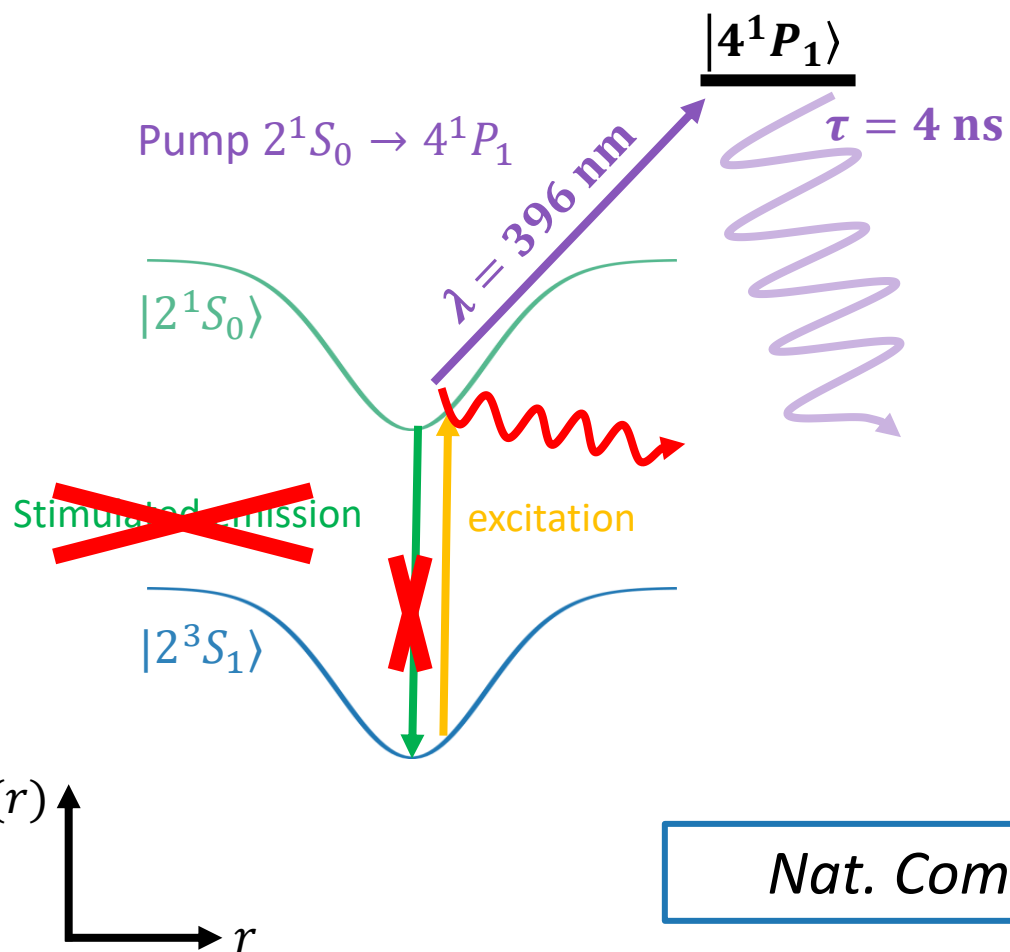
$|2^3S_1\rangle$

$|2^1S_0\rangle$

Pauli-blocked in  
dense part of the gas



# Testing the lineshape model

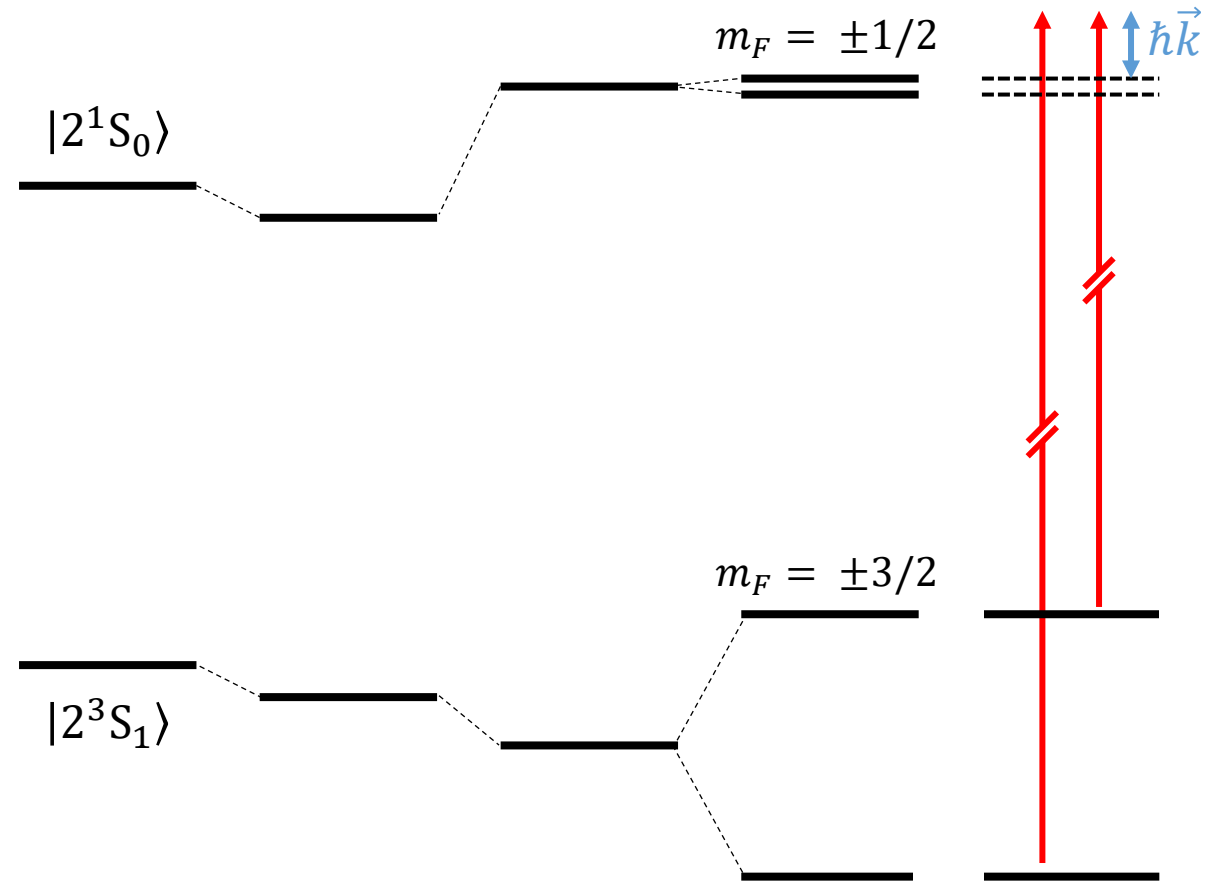


Nat. Comm. **13**, 6479 (2022)

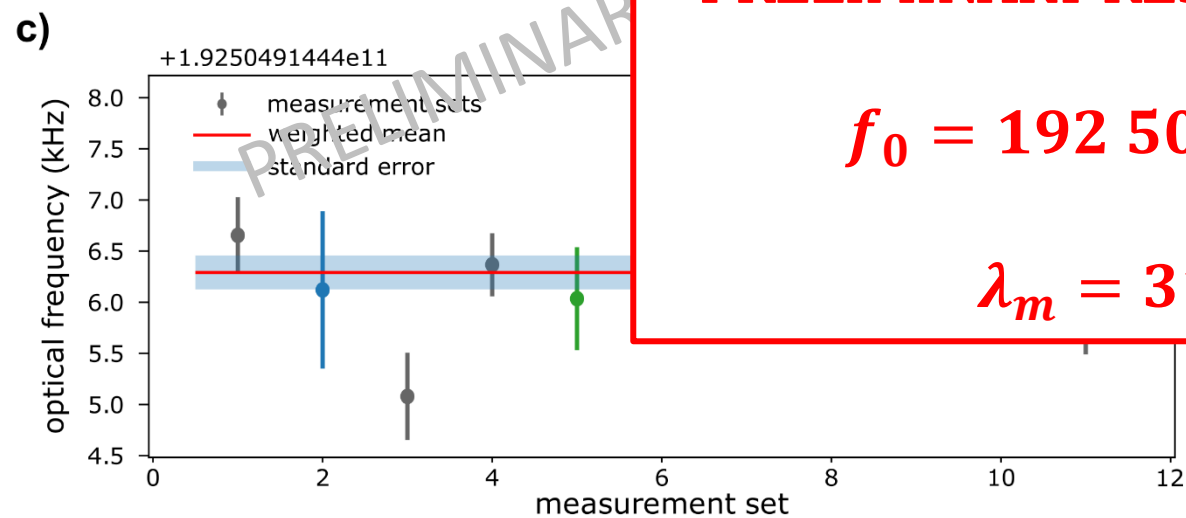
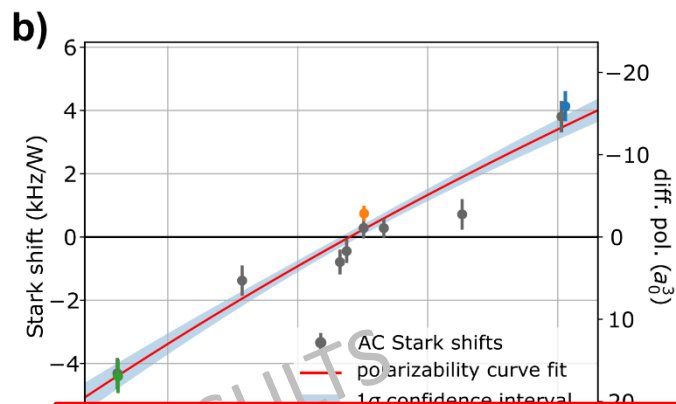
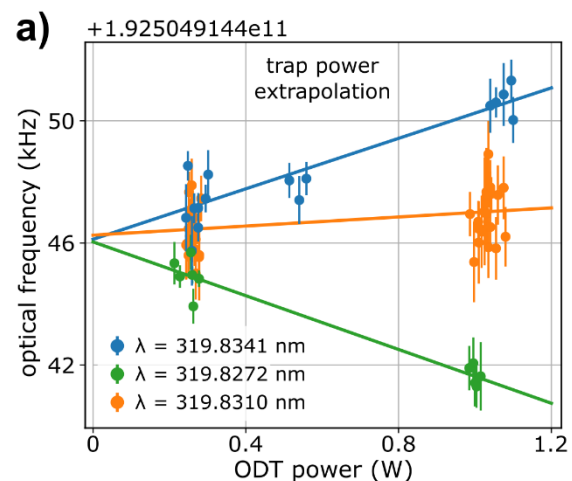


# Precision spectroscopy

- Measure *unperturbed*  $2^3S_1 \rightarrow 2^1S_0$  energy difference
- Systematic effects:
  - Dipole trap Stark shift
  - Spectroscopy laser Stark shift
  - Zeeman shift
  - photon recoil
  - Lineshape Model ✓



# Precision spectroscopy

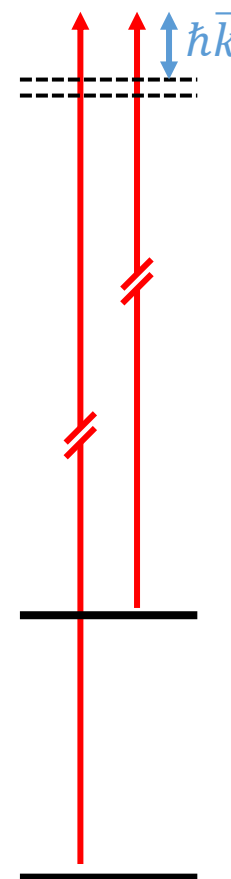


**PRELIMINARY RESULT  $^3\text{He } 2^3\text{S}_1 \rightarrow 2^1\text{S}_0$  (2022):**

$$f_0 = 192\,504\,914\,418.96(17) \text{ kHz}$$

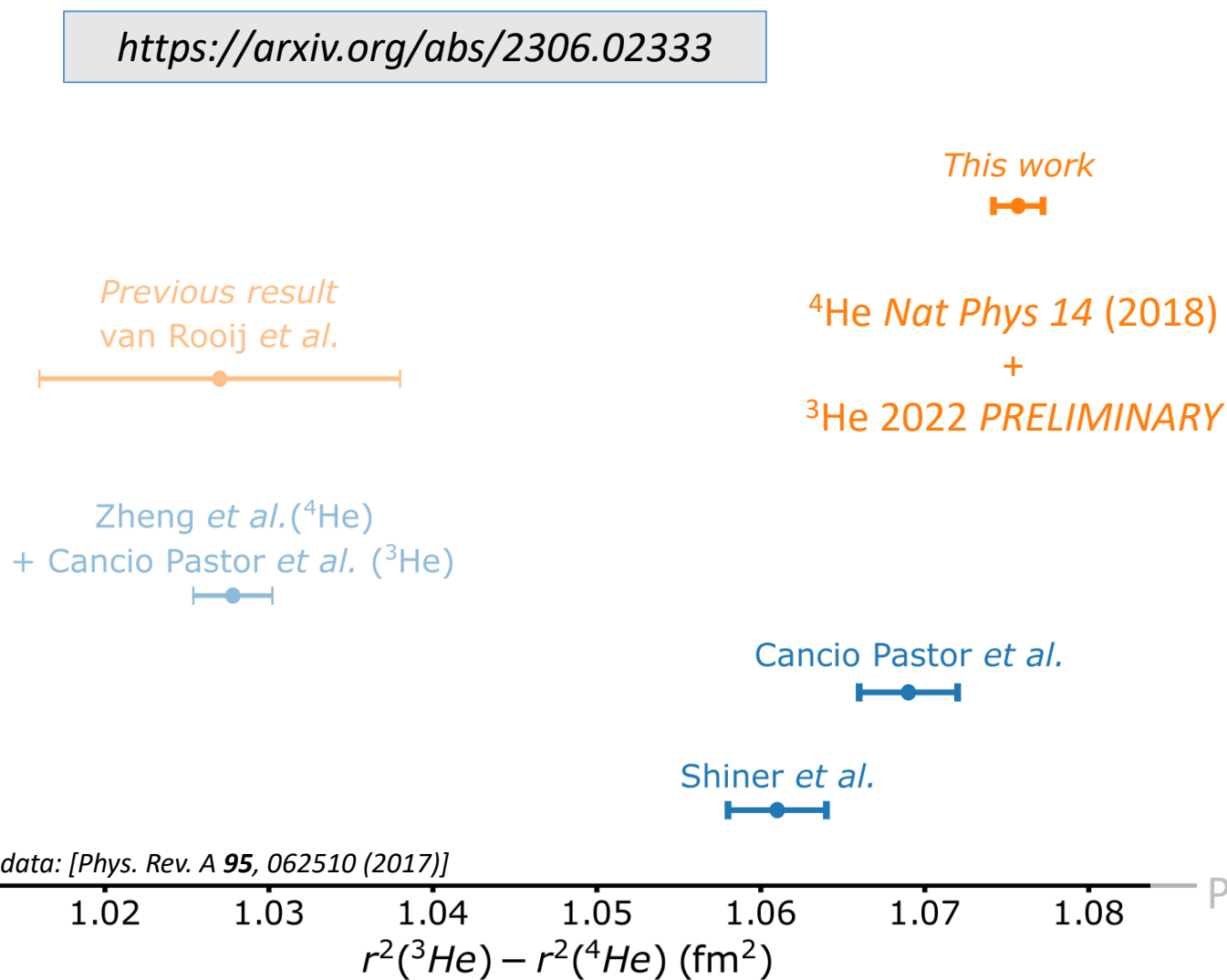
$$\lambda_m = 319.830\,80(15) \text{ nm}$$

$|2^1\text{S}_0, F = 1/2\rangle$

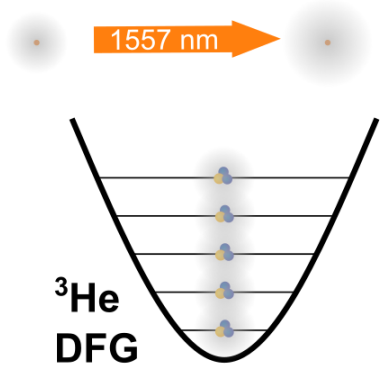


# Nuclear Charge Radius Difference

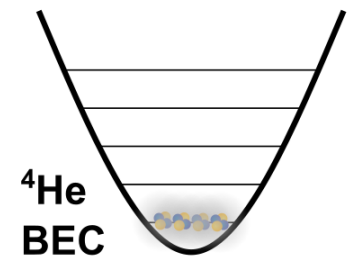
<https://arxiv.org/abs/2306.02333>



$2^3S \rightarrow 2^1S$

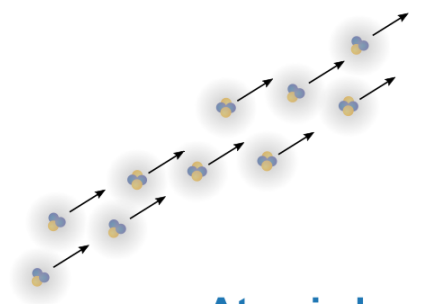


Trapped quantum gases



1083 nm

$2^3S \rightarrow 2^3P$



PRELIMINARY RESULTS



# Nuclear Charge Radius Difference

Previous Amsterdam result  
(2011)



$4.4\sigma$

This work



$^4\text{He}$  *Nat Phys* 14 (2018)  
+  
 $^3\text{He}$  2022 PRELIMINARY

Zheng *et al.* ( $^4\text{He}$ )  
+ Cancio Pastor *et al.* ( $^3\text{He}$ )

Cancio Pastor *et al.*

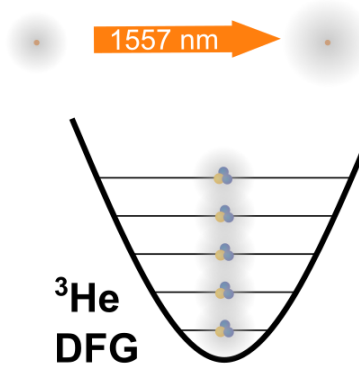
Shiner *et al.*

data: [*Phys. Rev. A* **95**, 062510 (2017)]

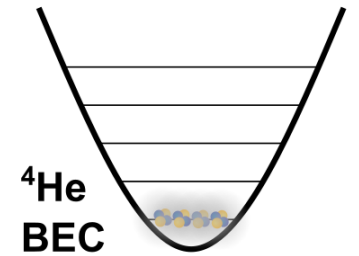
1.02 1.03 1.04 1.05 1.06 1.07 1.08

$r^2(^3\text{He}) - r^2(^4\text{He})$  (fm<sup>2</sup>)

$2^3S \rightarrow 2^1S$

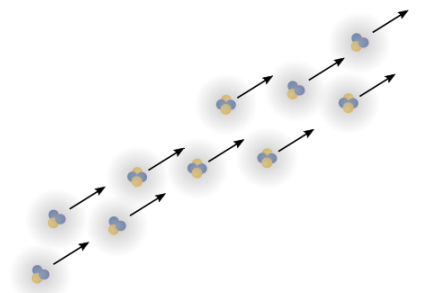


Trapped quantum gases



1083 nm

$2^3S \rightarrow 2^3P$



Atomic beam

PRELIMINARY RESULTS

LaserLaB  
AMSTERDAM





# Nuclear Charge Radius Difference

Previous Amsterdam result  
(2011)



4.4σ

This work



<sup>4</sup>He *Nat Phys* 14 (2018)  
+  
<sup>3</sup>He 2022 PRELIMINARY

Zheng *et al.* (<sup>4</sup>He) + Cancio Pastor *et al.* (<sup>3</sup>He)  
Prof. Shui-ming Hu talk yesterday!



Cancio Pastor *et al.*

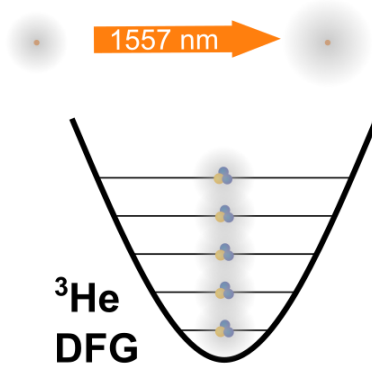
Shiner *et al.*

data: [*Phys. Rev. A* **95**, 062510 (2017)]

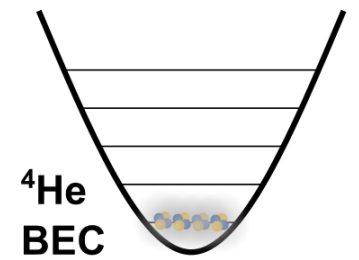
1.02 1.03 1.04 1.05 1.06 1.07 1.08

$r^2(^3\text{He}) - r^2(^4\text{He})$  (fm<sup>2</sup>)

$2^3S \rightarrow 2^1S$

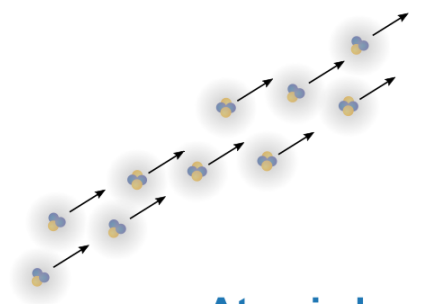


Trapped quantum gases



1083 nm

$2^3S \rightarrow 2^3P$



Atomic beam

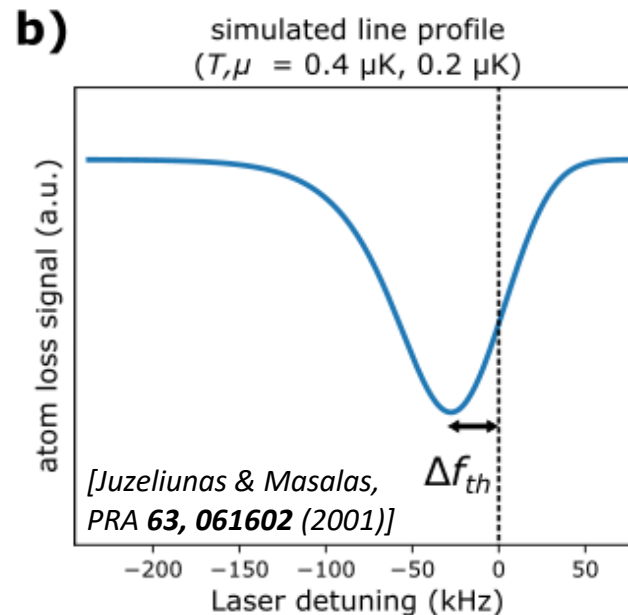
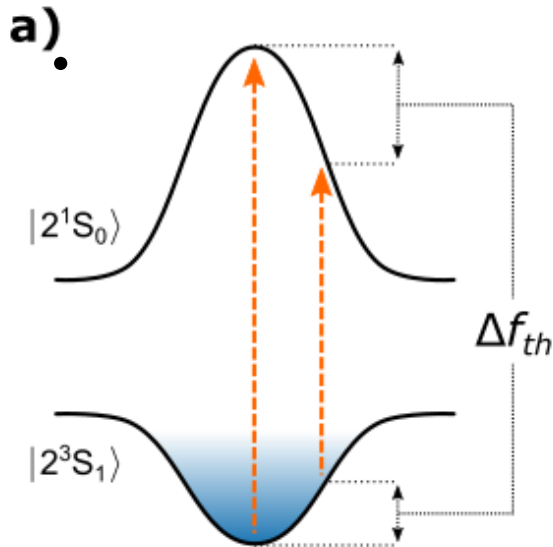
PRELIMINARY RESULTS



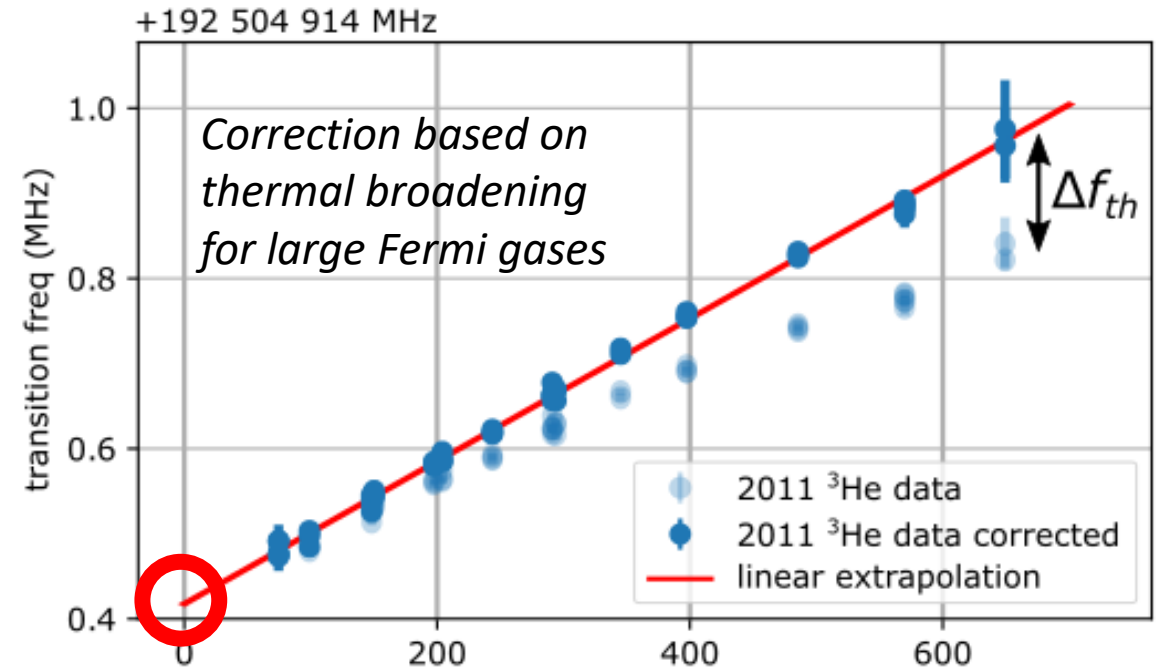
# 7 kHz (4.4 $\sigma$ ) deviation?

## Previous Result: **non-magic wavelength**

- Fermi-Dirac: AC Stark shift asymmetry
- Not resolved within laser bandwidth
- **New setup:**
  - magic wavelength: *no AC Stark from trap*
  - improved laser lock: *resolve quantum effects*



c)



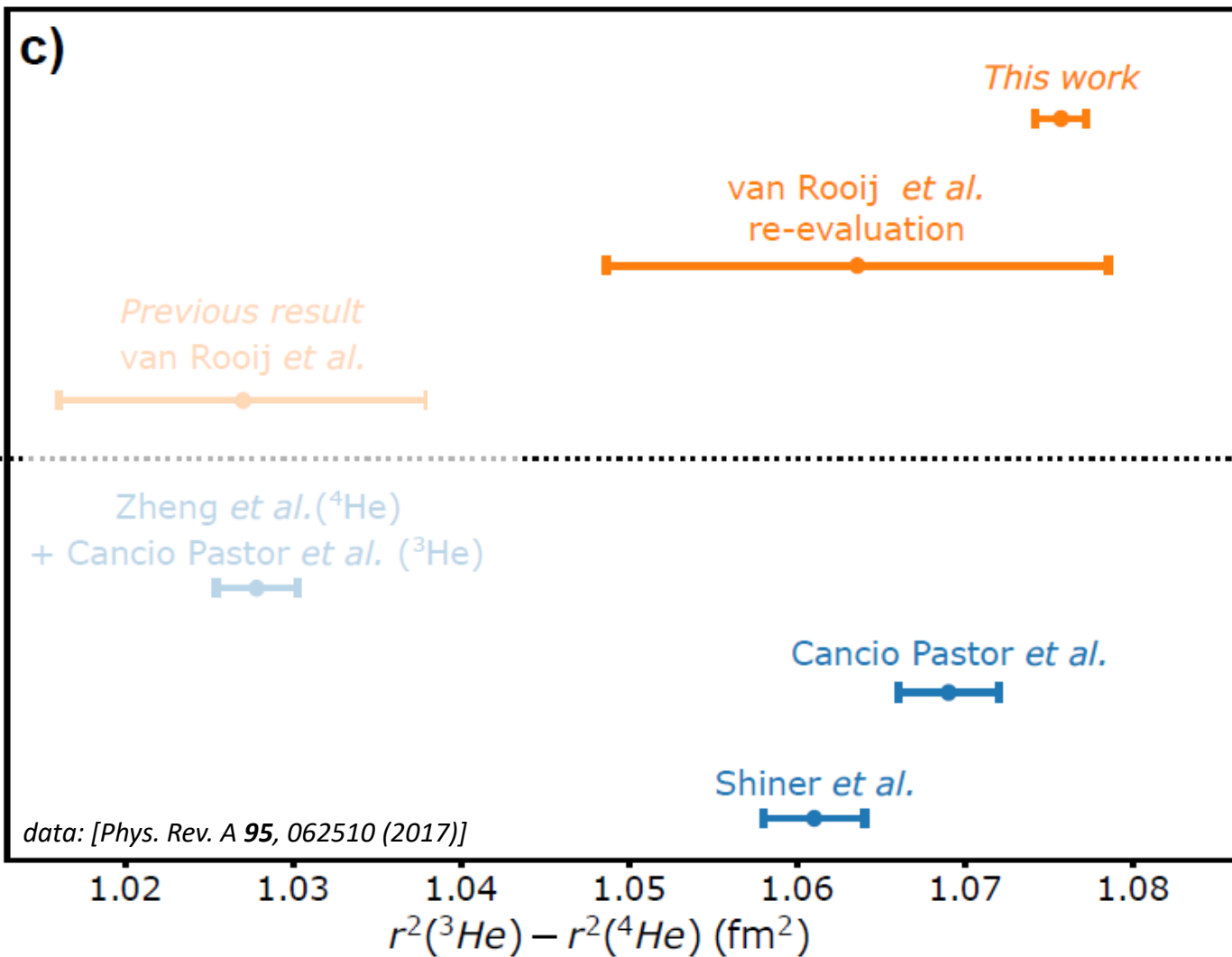
**192 504 914 417.2(2.0) kHz**

PRELIMINARY  
RESULTS

LaserLaB  
AMSTERDAM

VU

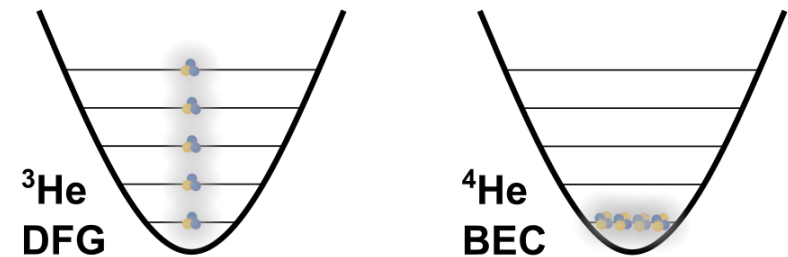
# Nuclear Charge Radius Difference



$2^3S \rightarrow 2^1S$

Trapped quantum gases

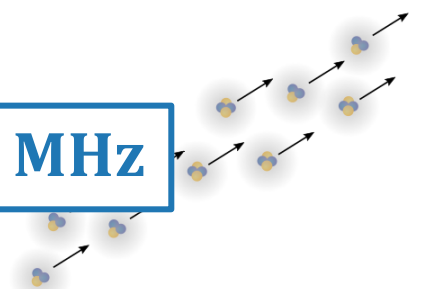
$$\sigma_{exp} > \Gamma = 8 \text{ Hz}$$



$$\sigma_{exp} \ll \Gamma = 1.6 \text{ MHz}$$

$2^3S \rightarrow 2^3P$

Atomic beam



PRELIMINARY RESULTS

LaserLaB  
AMSTERDAM



# Electrons vs. Muons

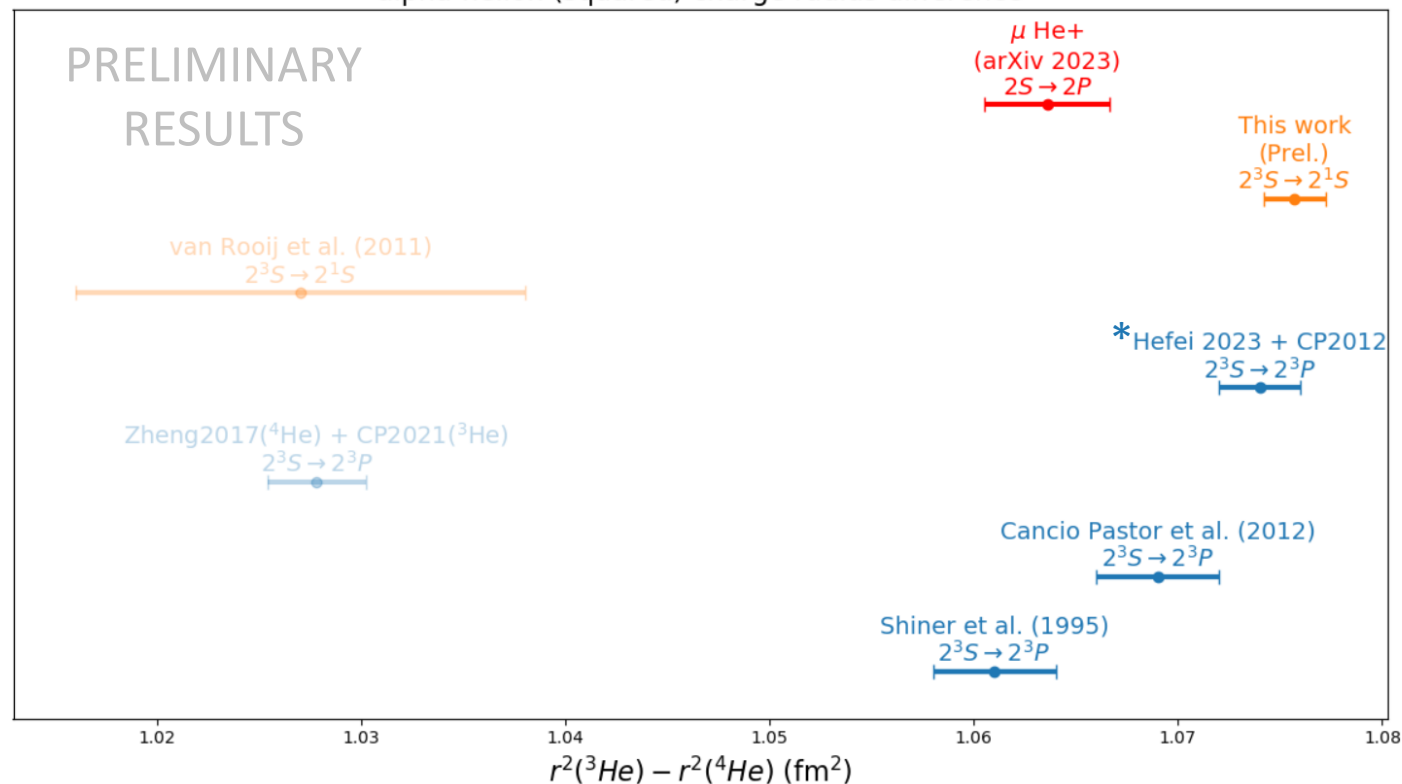
- He nuclear charge radii from  $\mu\text{He}^+$  spectroscopy
  - $^4\text{He}$ : 1.67824(83) fm [*Krauth et al. Nature* **589**, p. 527–531 (2021)]
  - **Fresh off the press:**  $^3\text{He}$  1.97007(94) fm <https://arxiv.org/abs/2305.11679>



# Electrons vs. Muons

- He nuclear charge radii from  $\mu\text{He}^+$  spectroscopy
  - $^4\text{He}$ : 1.67824(83) fm [*Krauth et al. Nature* **589**, p. 527–531 (2021)]
  - **New result:**  $^3\text{He}$  1.97007(94) fm <https://arxiv.org/abs/2305.11679>

alpha-helion (squared) charge radius difference

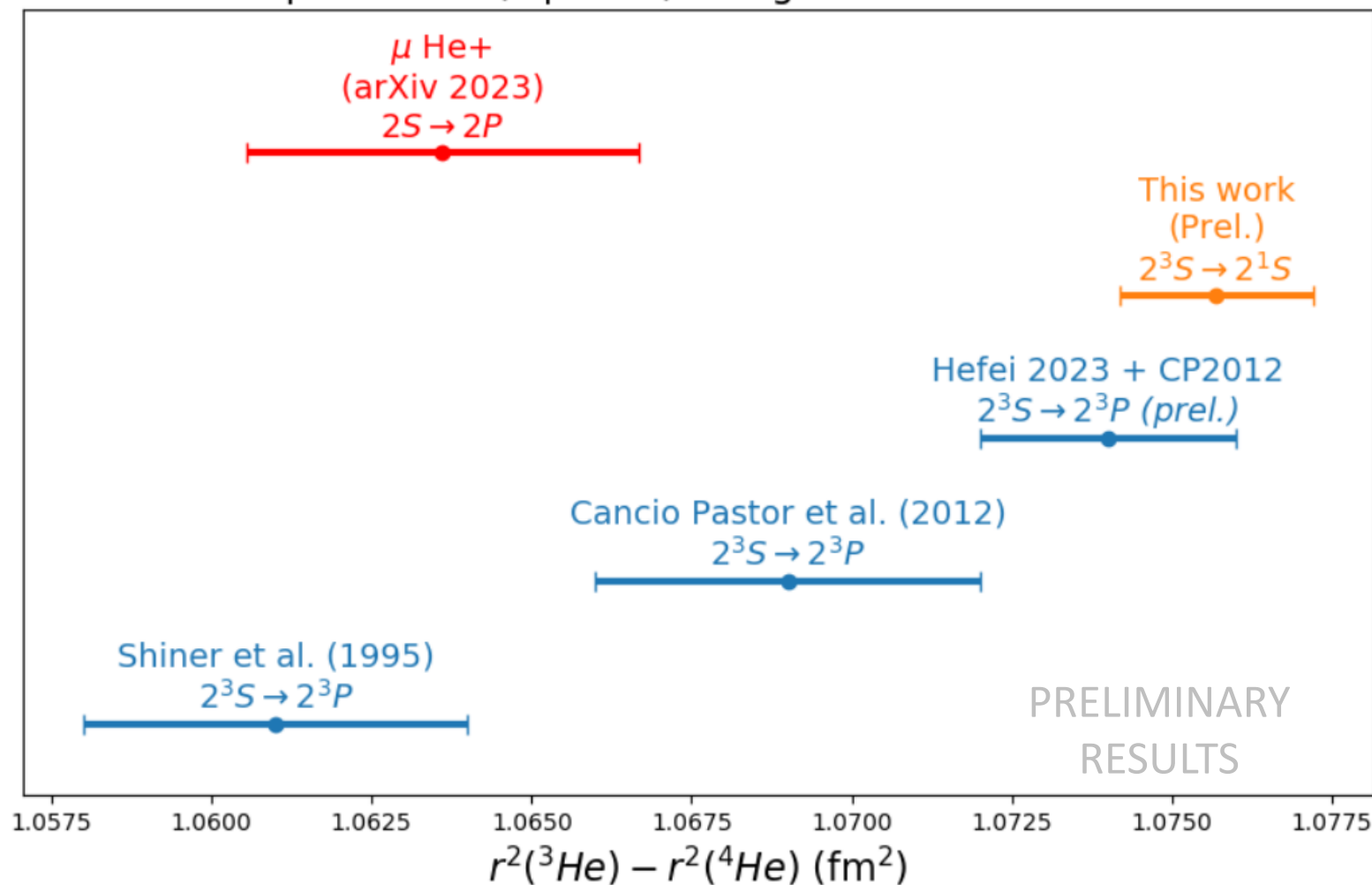


*\*Also new:  
Preliminary Hefei 2023  
Shuiming Hu, FFK Vienna 2023*



# Electrons vs. Muons

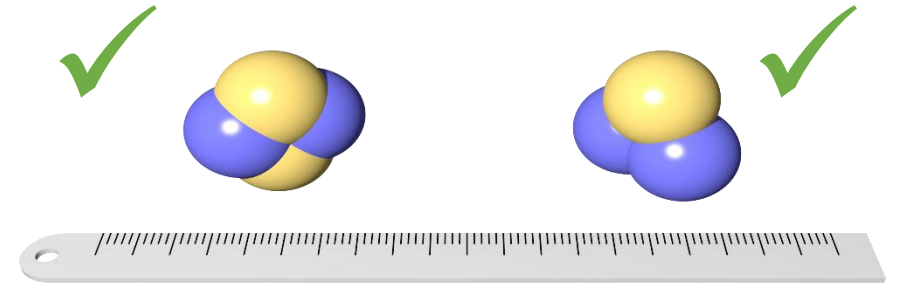
alpha-helion (squared) charge radius difference



- $3.6\sigma$  from  $\mu\text{He}^+$
- $2\sigma - 4\sigma$  from  $2^3S \rightarrow 2^3P$
- Hefei  $^3\text{He}$ ?
- 1.9 kHz shift for  $1\sigma$  agreement with muonic
- Discrepancies:
  - *New physics? Well.....*
  - Very different systematics
  - Theory: triplet vs. singlet
  - Muonic: higher-order QED

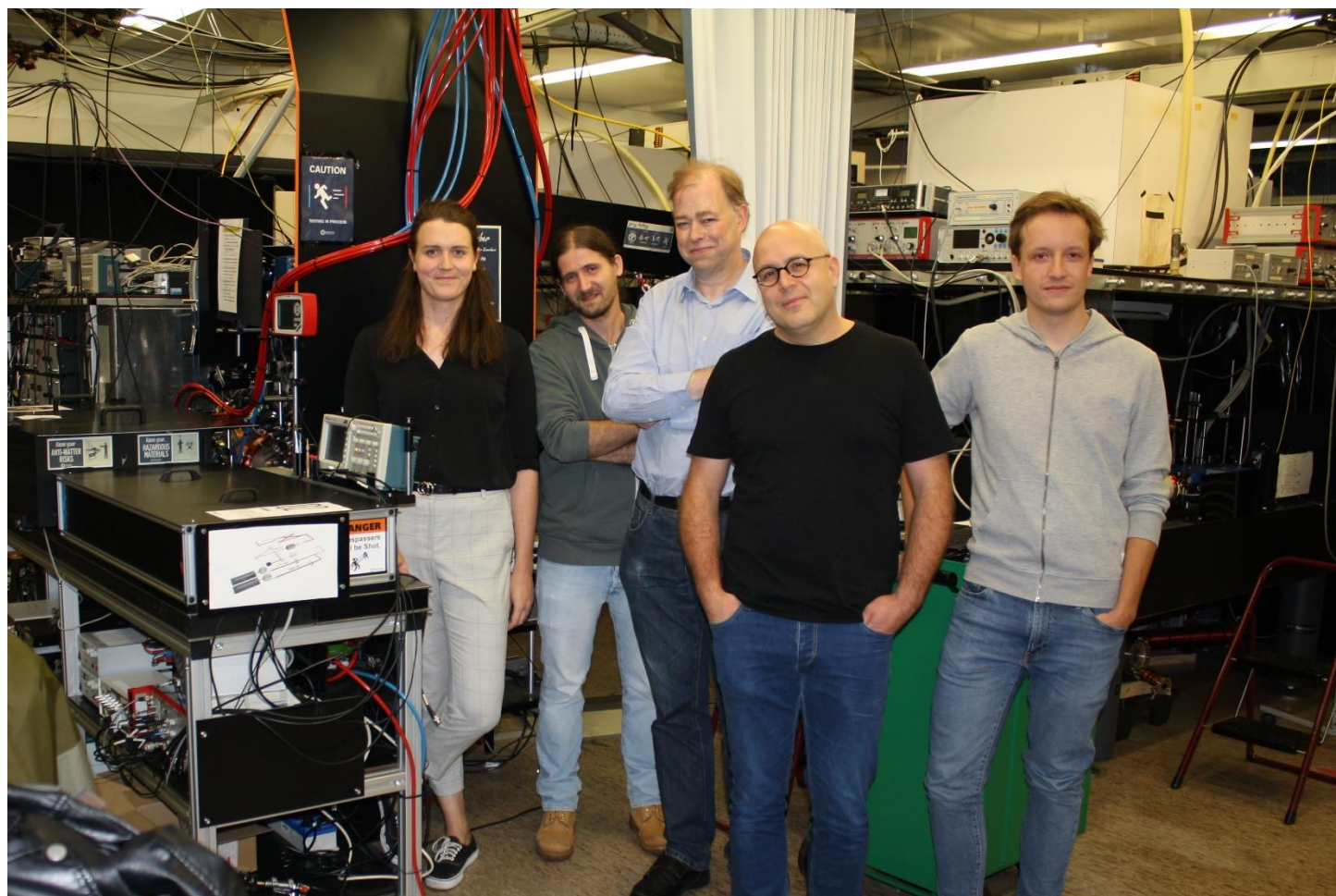
# In conclusion

- Fundamental physics with ultracold helium:
  - Precision spectroscopy: narrow transition
  - Nuclear charge radii  $\rightarrow$  most accurate  $r_3^2 - r_4^2$
  - QED benchmark
  - Comparison with other works, exciting times:  
*Other spectroscopy, scattering, muonic systems*
- Exploring the ‘Quantum Frontier’?
  - magic wavelengths: benchmarks for QED
  - $^4\text{He}$  BEC: insight into collisions, mean-field shift, scattering length  $a_{ts}$
  - $^3\text{He}$  Fermi gas: Observation of unexpected Pauli Blockade effects
- Higher precision?  $\Gamma = 8$  Hz (experimentally challenging)
- Other measurements in helium?



<https://arxiv.org/abs/2306.02333>

# Thanks for your attention!



## He\* team:

- Raphael Jannin
- Kees Steinebach
- Yuri van der Werf
- Rick Bethlem
- Kjeld Eikema
- Bob Rengelink



**Wim Vassen:**  
† 11-2-2019

## Technical support:

- Rob Kortekaas
- Lex van der Gracht

## Funding & facilities:



# Thanks for your attention!

## Questions?



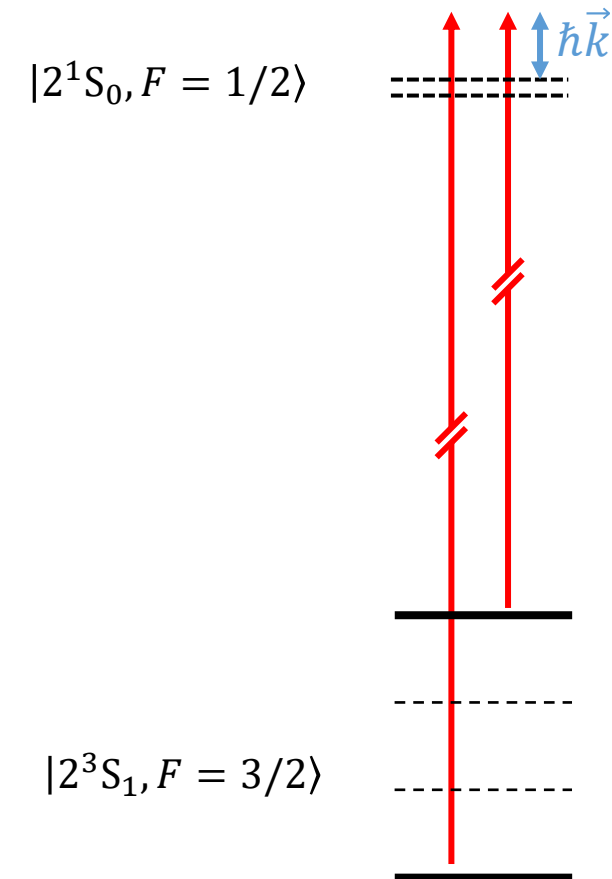
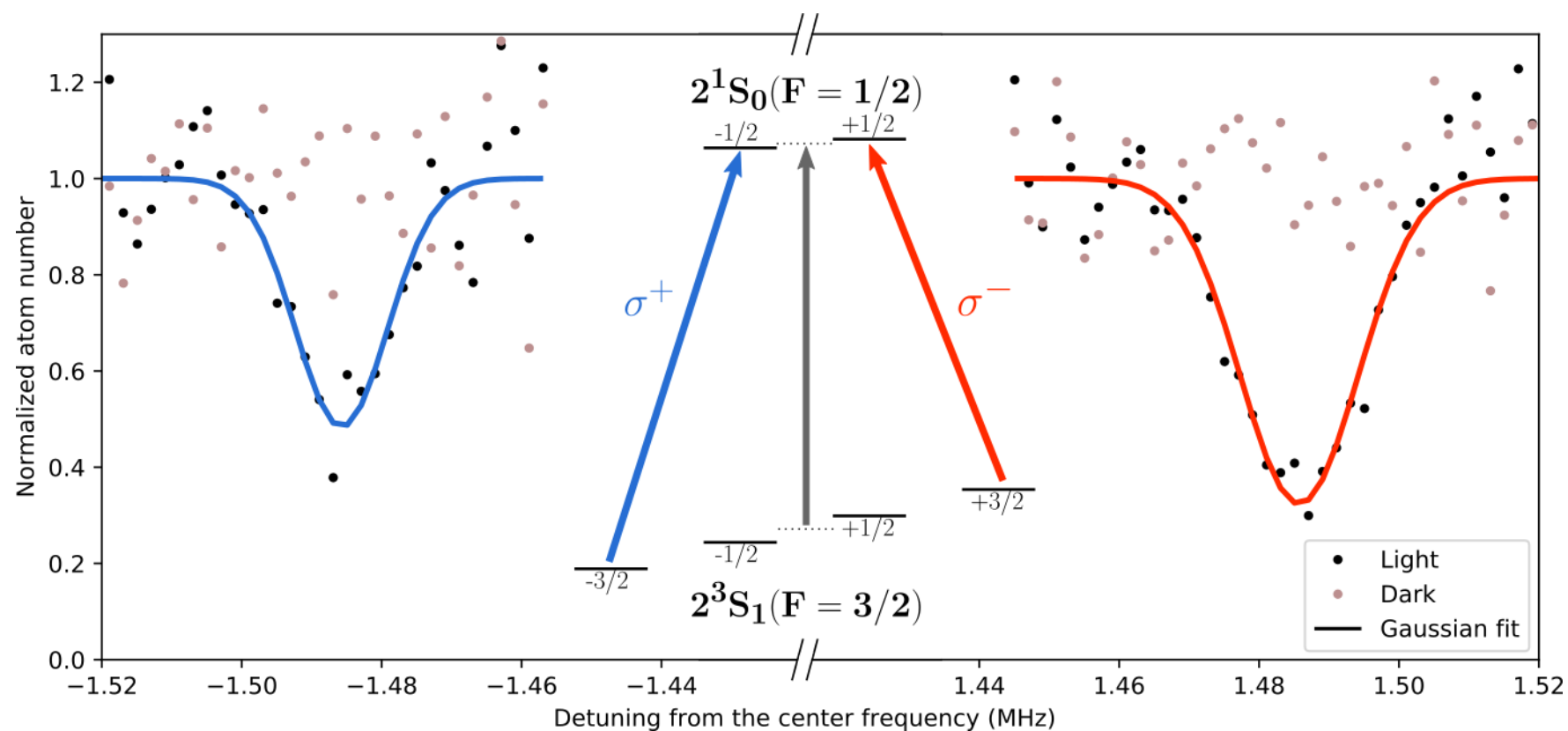
Email: [y.vander.werf@vu.nl](mailto:y.vander.werf@vu.nl)





# Precision spectroscopy

- Systematics analysis: **Zeeman shift**

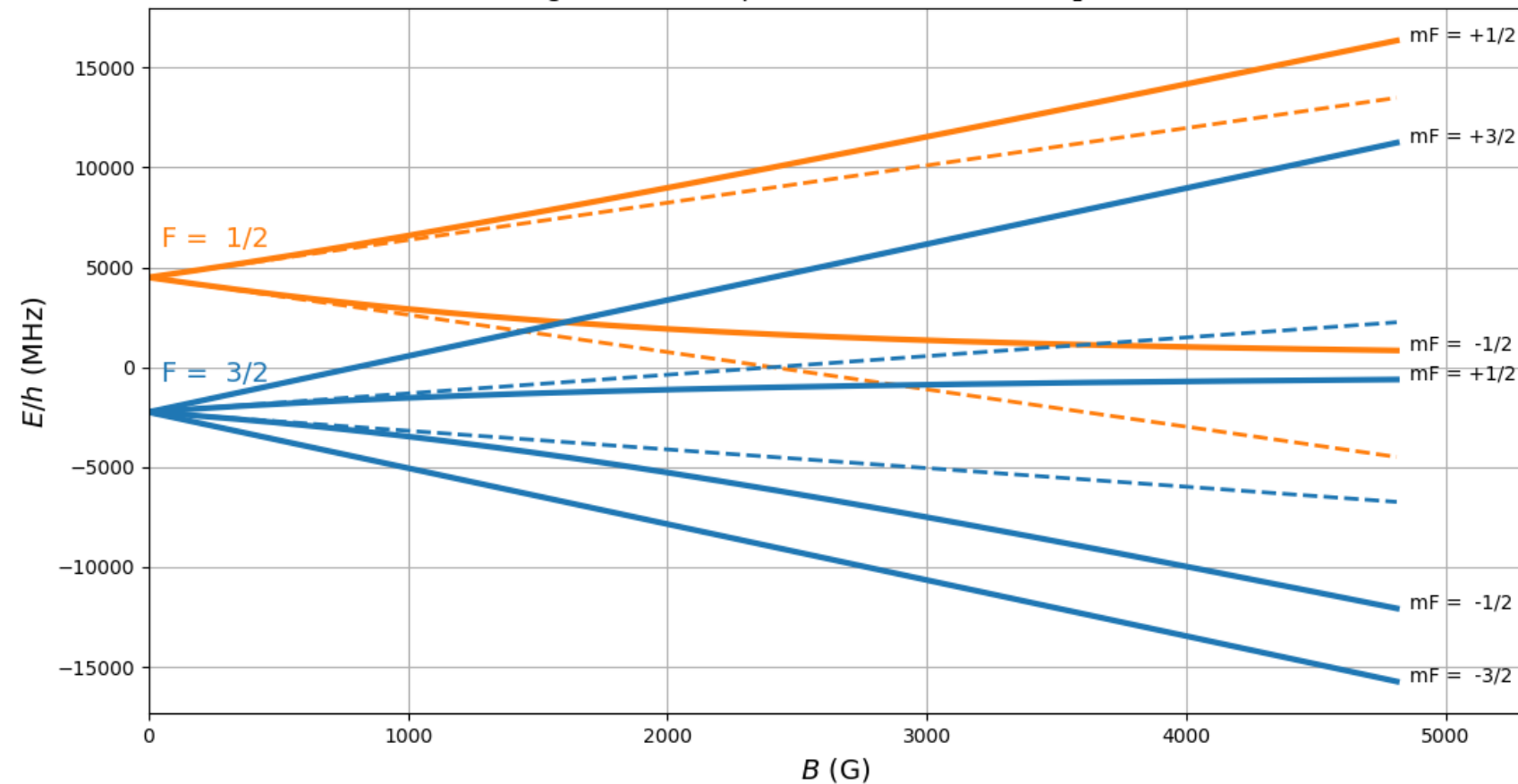




# Systematic analysis

- 2<sup>nd</sup> order Zeeman shift:

Magnetic field dependence for  ${}^3\text{He}$  in  $2^3S_1$  state



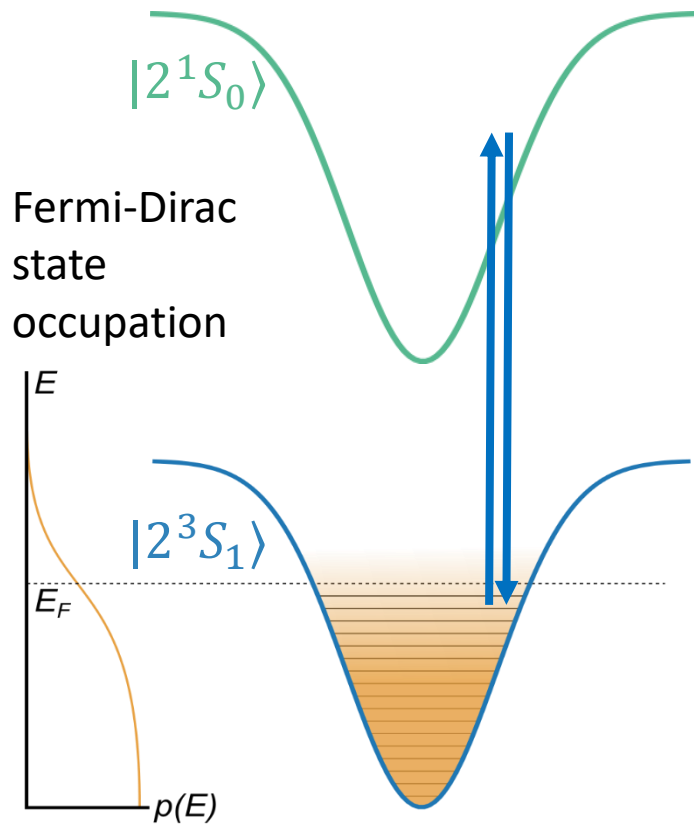
Using the Breit-Rabi formula with  $J \leftrightarrow I$

No coupling to  $F = 1/2$  from spin-stretched  $m_F = \pm 3/2$

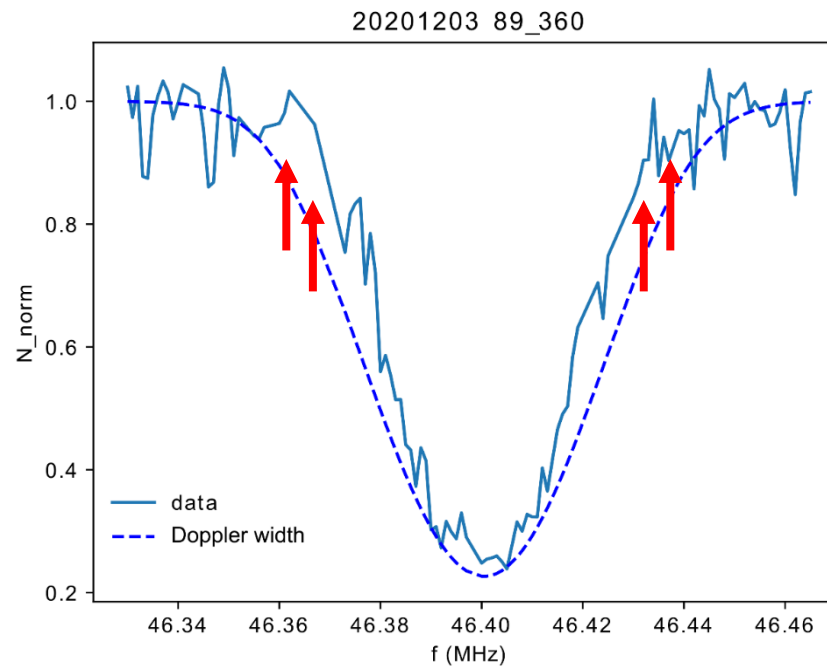
2<sup>nd</sup> order Zeeman from coupling to  $2^3P_J$ , same as  ${}^4\text{He}$ :  $< 4 \text{ mHz/G}^2$

# Reduced linewidth

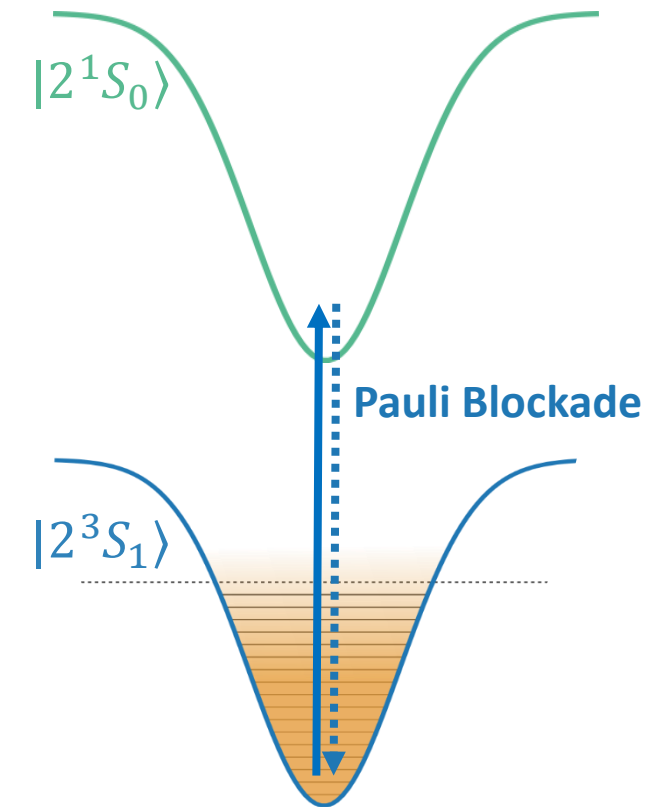
Tails of spectrum: **reduced loss**



We measure the remaining He\*



Center of spectrum: **high loss**

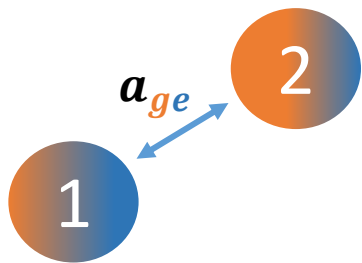


# Systematic analysis

- Cold collision shift?

**IDENTICAL** cold\* fermions don't collide

$$\begin{aligned} |g_1\rangle &\rightarrow \alpha_1 |g_1\rangle + \beta_1 |e_1\rangle \\ |g_2\rangle &\rightarrow \alpha_2 |g_2\rangle + \beta_2 |e_2\rangle \end{aligned}$$



$$|S\rangle = \frac{(\alpha_1\beta_2 - \alpha_2\beta_1)}{\sqrt{2}} \cdot (|ge\rangle - |eg\rangle)$$

$$\langle S|S\rangle \equiv G_{ge}^{(2)}$$

$$\Delta_{mfs} = \frac{\hbar a_{ge}}{m} \rho_g(r) \cdot G_{ge}^{(2)} < 2\pi \times 1 \text{ Hz}$$

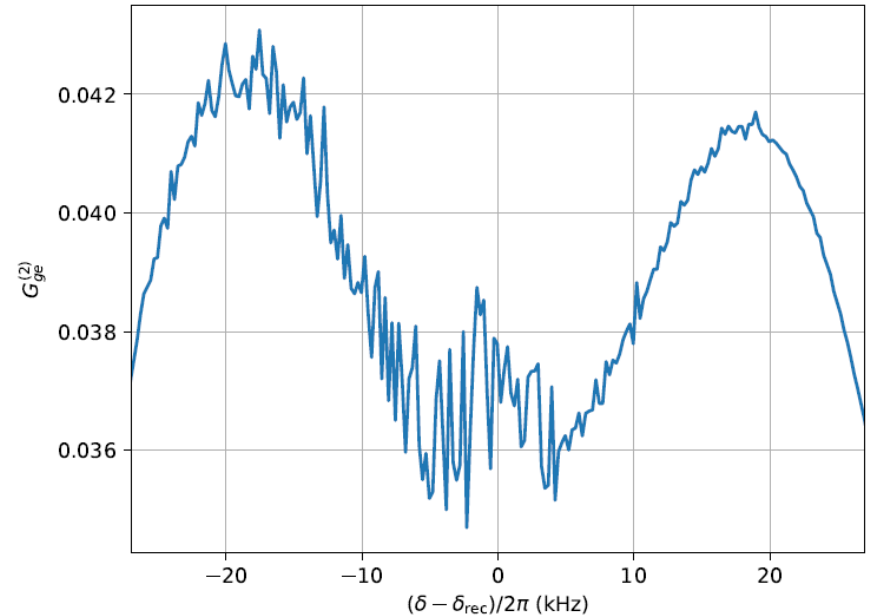
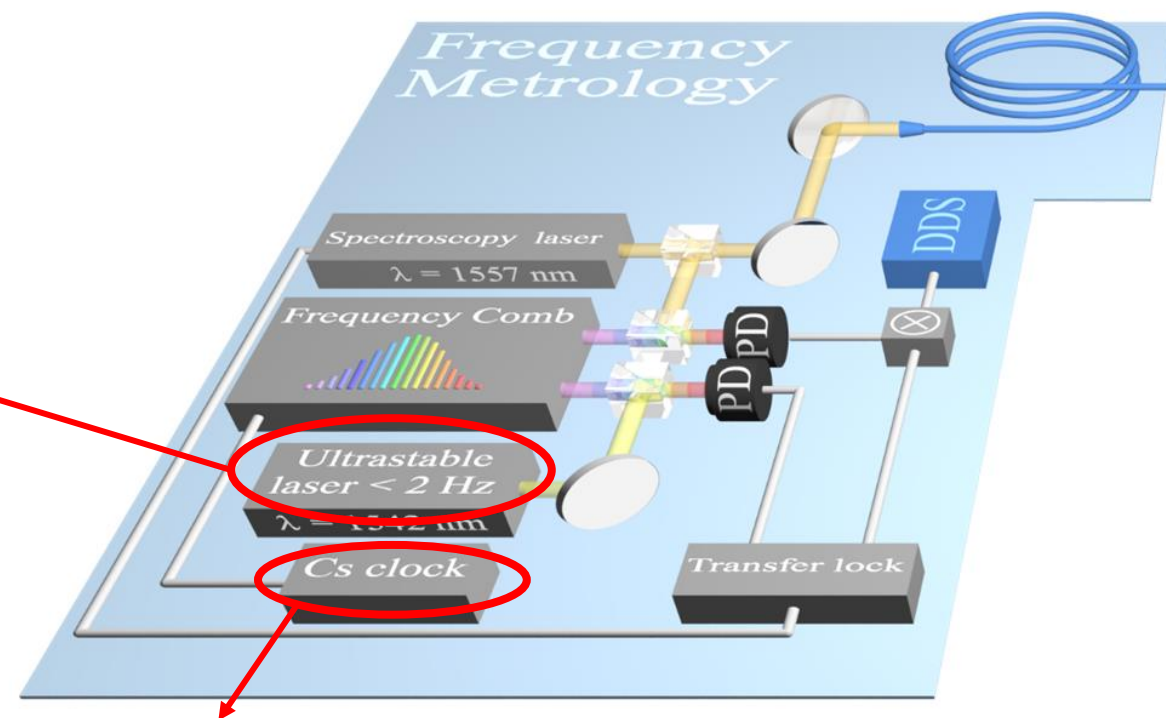
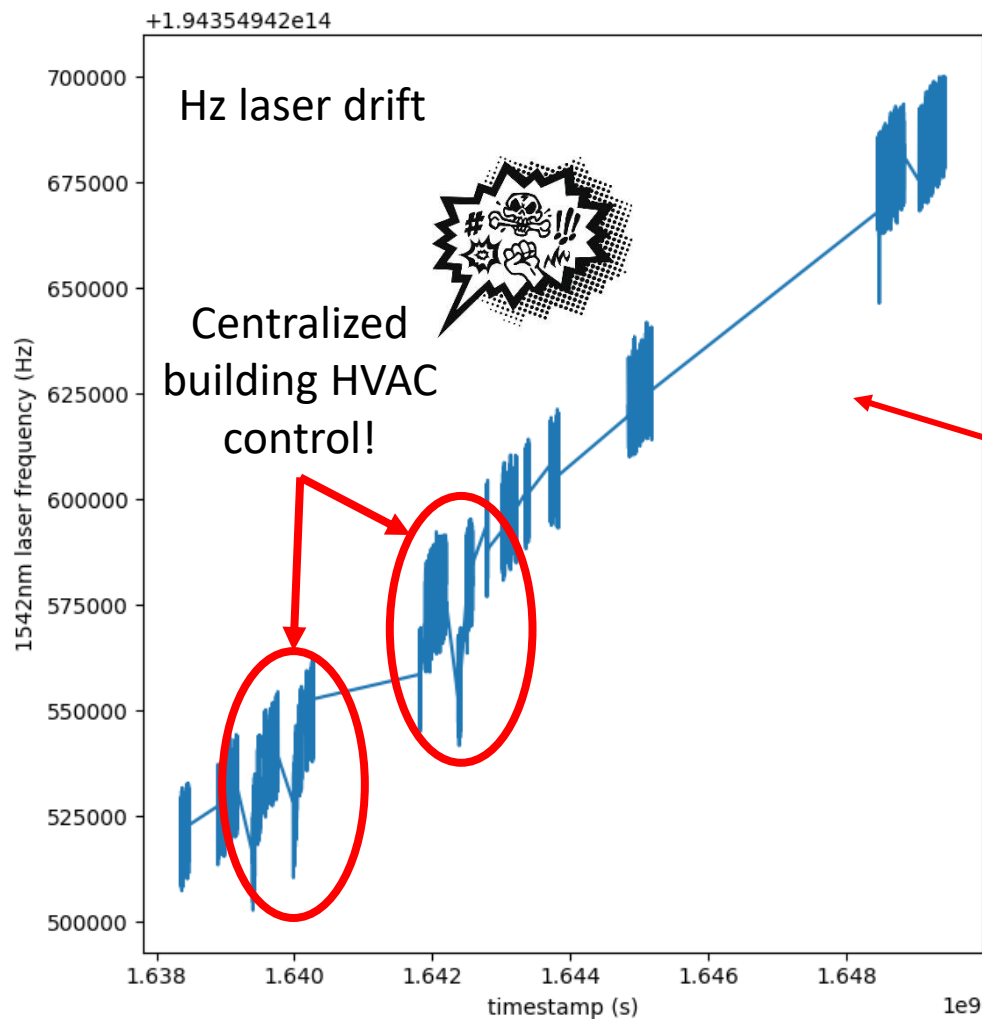


Figure 2: Time-averaged correlation as a function of the detuning of the spectroscopy laser.

\**p*-wave frozen out  $T < 500$  mK

# Frequency metrology

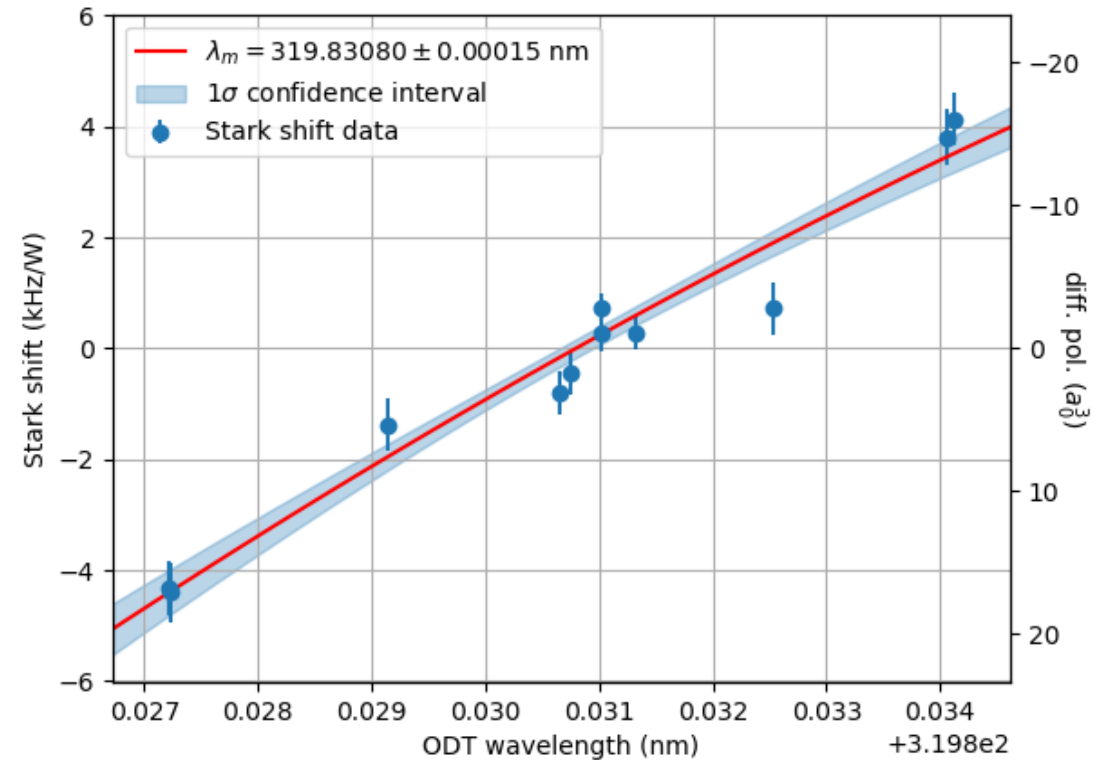
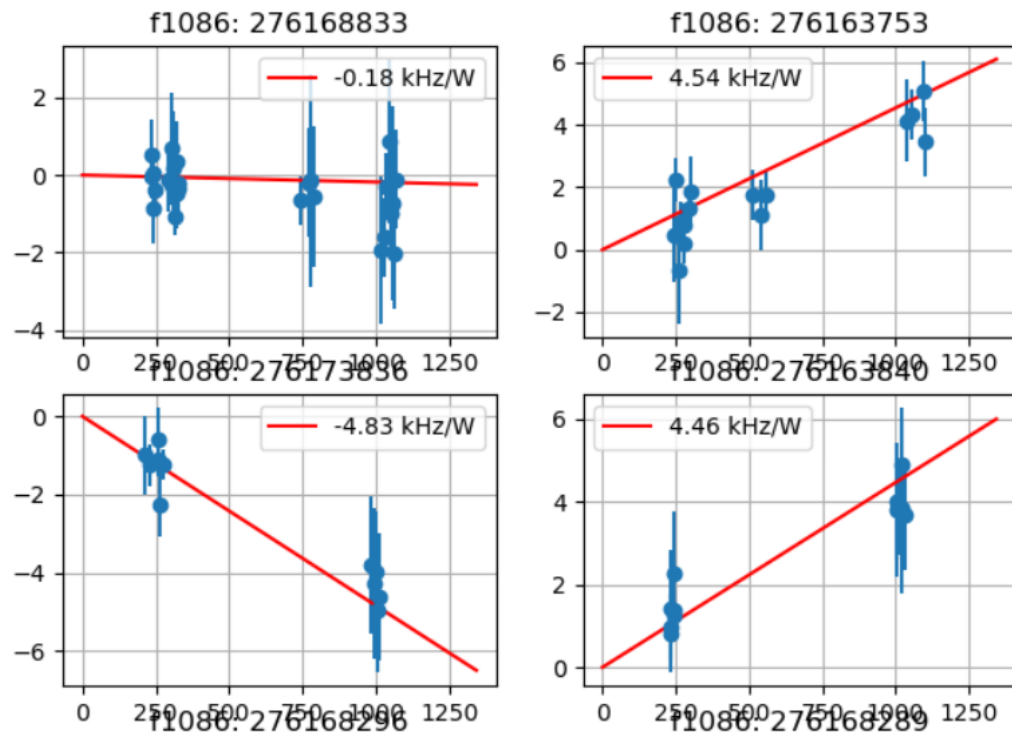


Correction to the *real* SI second:  
local Cs clock deviation from GPS

$$\Delta f = 55 \text{ Hz}$$

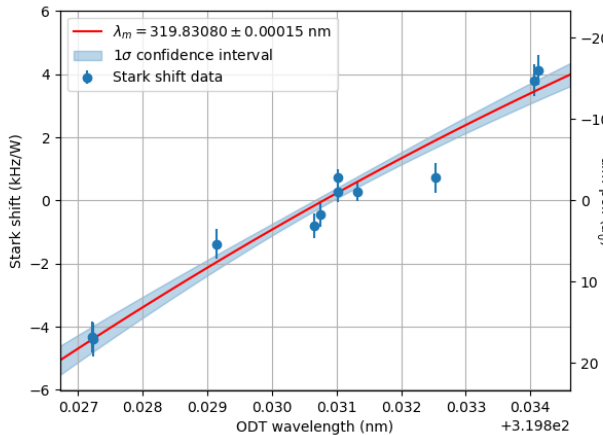
# Finding the magic wavelength

- Measurements at different wavelengths
- Measure strength of the a.c. Stark shift

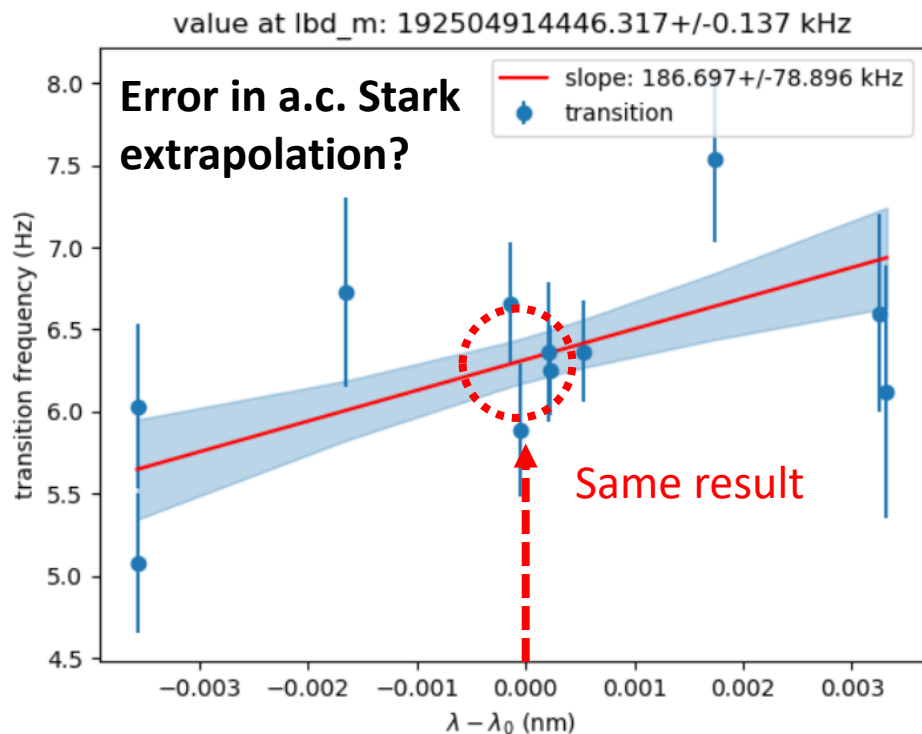




# Thermodynamic shift: @320nm



$\langle I_{320} \rangle = \Delta f_{Stark} / \alpha \approx 5.5 \times 10^7 \text{ Wm}^{-2} *$   
 $I_{peak} \approx 10^8 \text{ Wm}^{-2}$



$|2^1S_0\rangle$

$|2^3S_1\rangle$

Average trap intensity

\* @ 1W UV power

# Electrons vs Muons?

Amsterdam 2022

PRELIMINARY



Shiner *et al.*



- Vastly different systems
- Vastly different theory
- Consistency check
- Probe nuclear sizes
- QED test

1.06

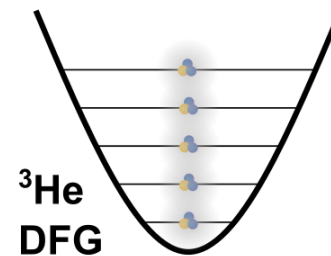
1.07

1.08

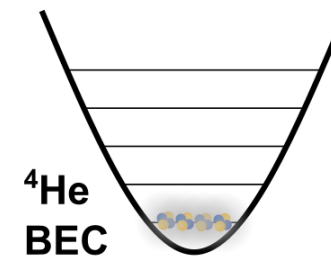
$r^2(^3\text{He}) - r^2(^4\text{He})$  (fm<sup>2</sup>)

$2^3S \rightarrow 2^1S$

$$\sigma_{exp} > \Gamma = 8 \text{ Hz}$$

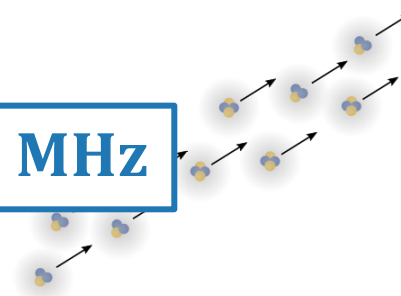


Trapped quantum gases



$$\sigma_{exp} \ll \Gamma = 1.6 \text{ MHz}$$

$2^3S \rightarrow 2^3P$



PRELIMINARY  
RESULTS

LaserLaB  
AMSTERDAM

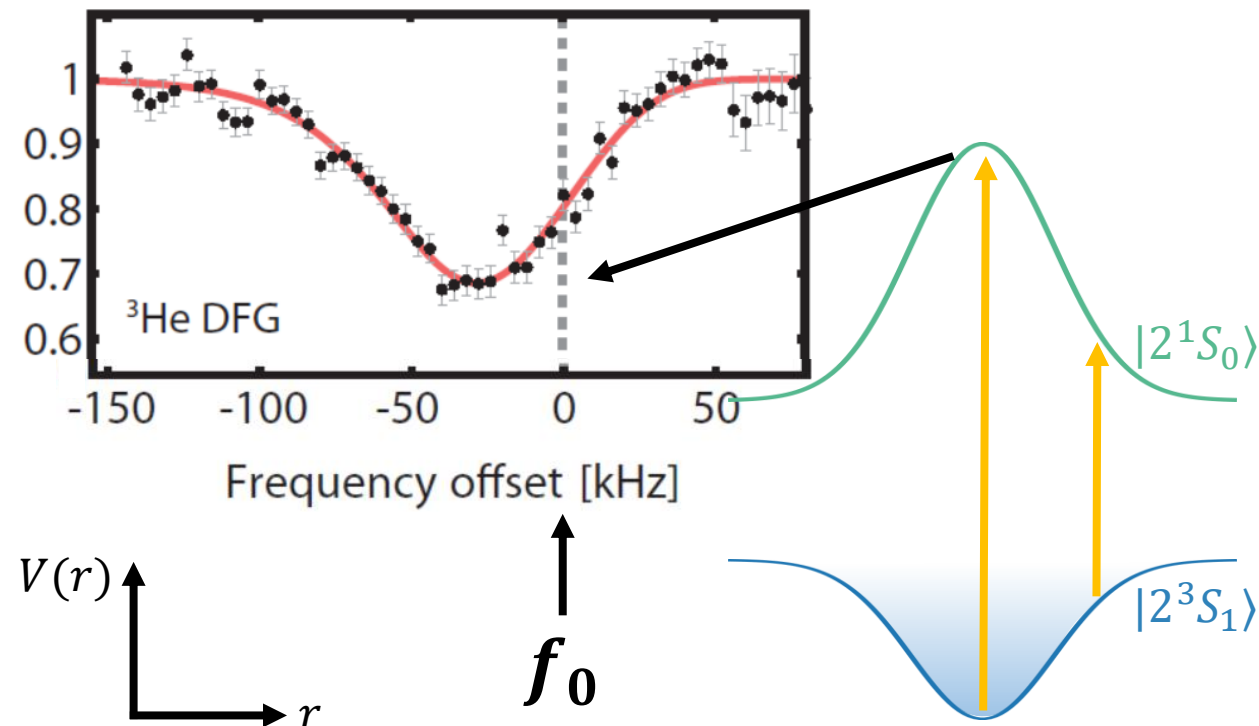
VU

# 4.4 $\sigma$ deviation?

## 2011 result:

1557 nm dipole trap + direct frequency comb lock

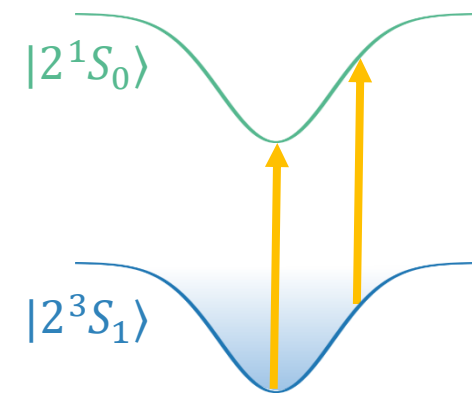
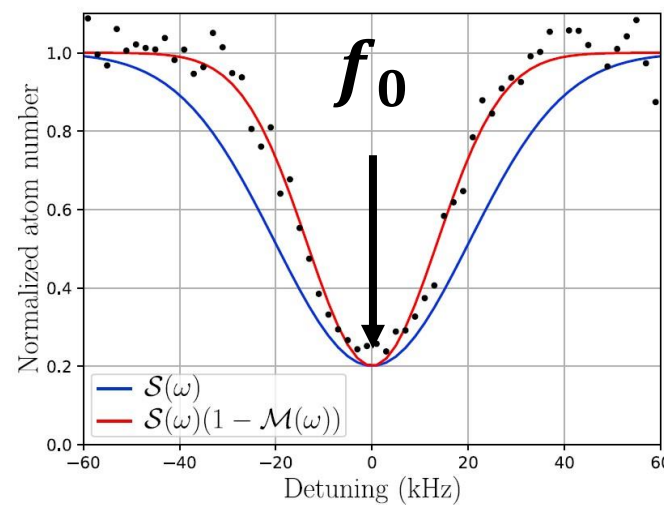
- Fermi-Dirac: AC Stark shift asymmetry
- Not resolved within laser bandwidth
- Verified now with new spectroscopy laser



## 2022 result:

magic wavelength trap + ultrastable reference laser

- Fermi-Dirac: Doppler + Pauli blocking
- No trap AC Stark  $\rightarrow$  Fully symmetric
- Quantum effects resolved (2018:  $^4\text{He}$  meanfield)



PRELIMINARY  
RESULTS

LaserLaB  
AMSTERDAM

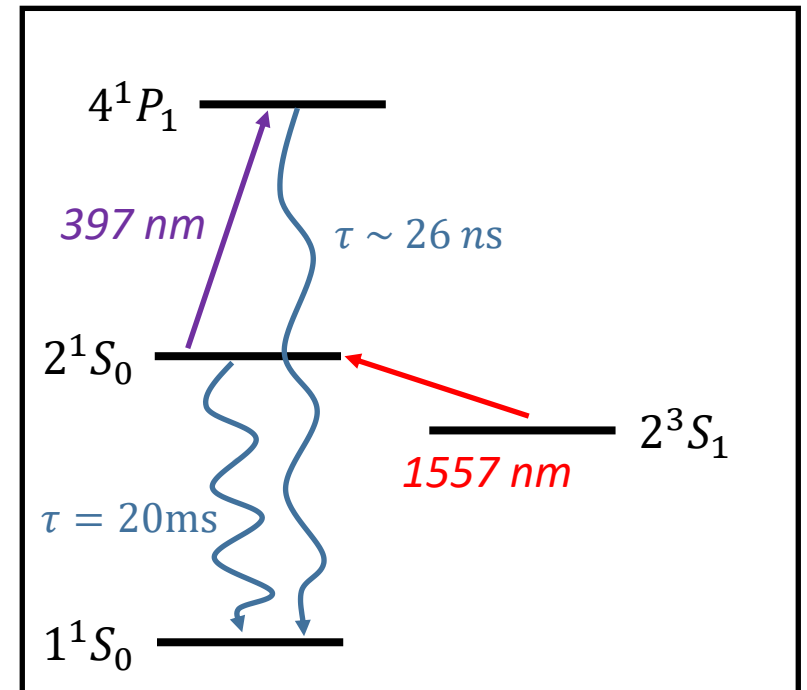
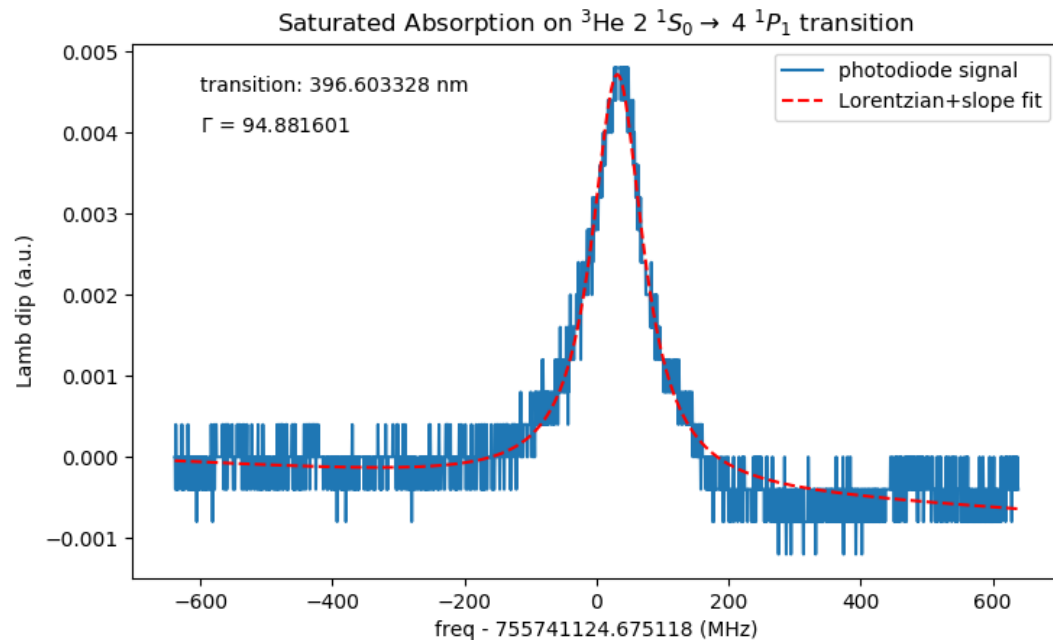
VU

# Testing the model

- Enhanced ground state decay through  $4^1P_1$  state

Eliminate the stimulated emission channel

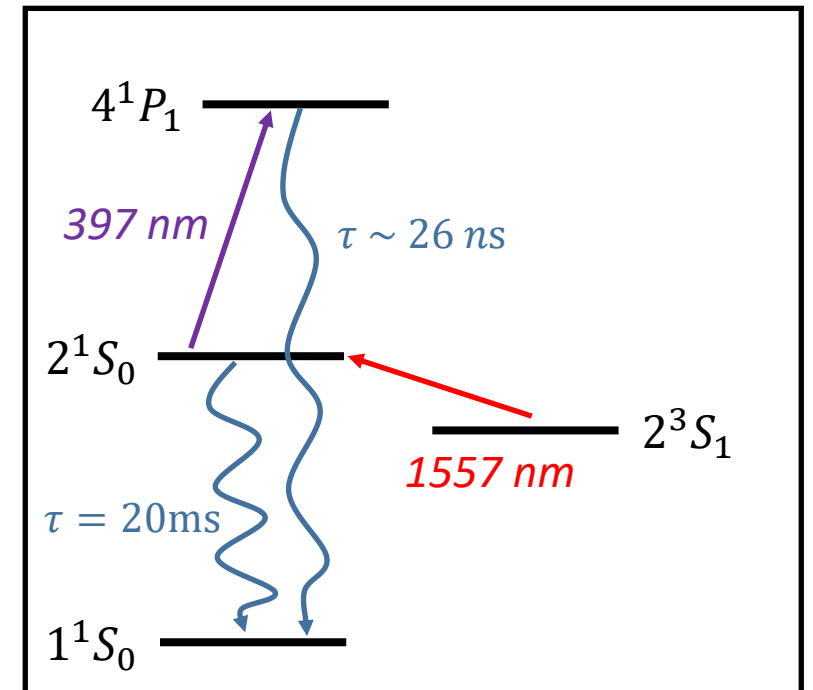
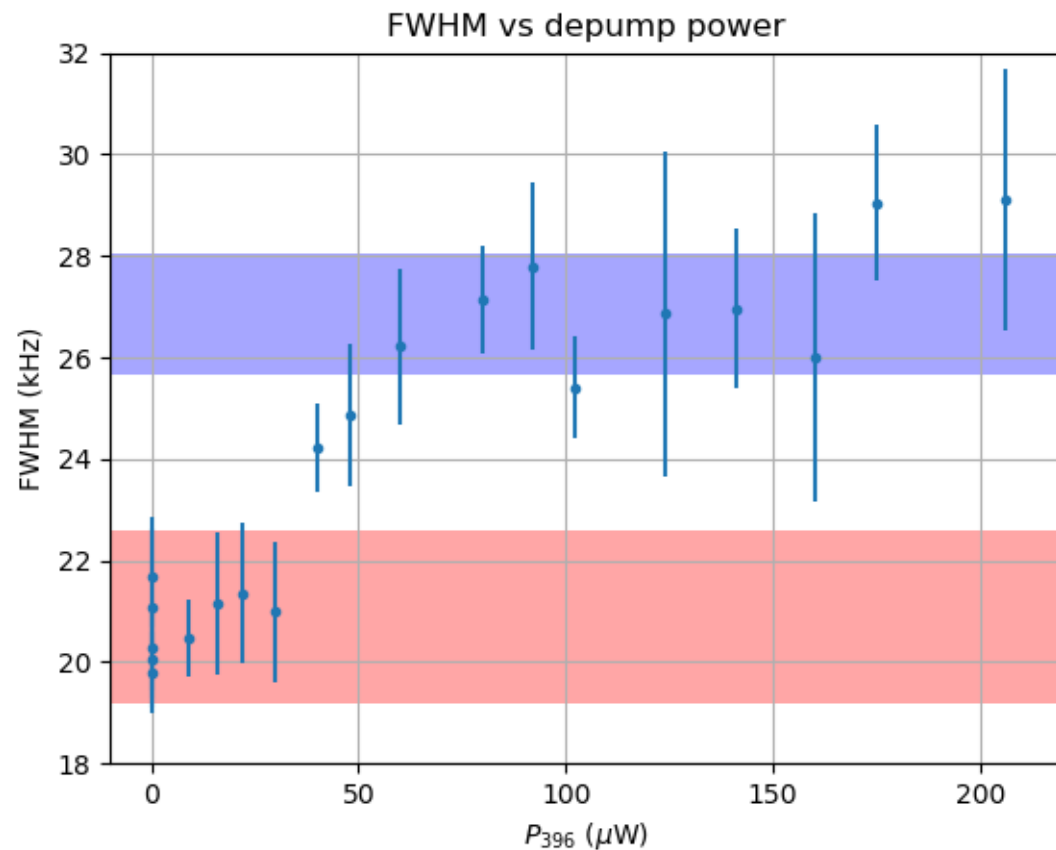
Lift Pauli Blockade effect



PRELIMINARY RESULT

# Testing the model

- Enhanced ground state decay through  $4^1P_1$  state



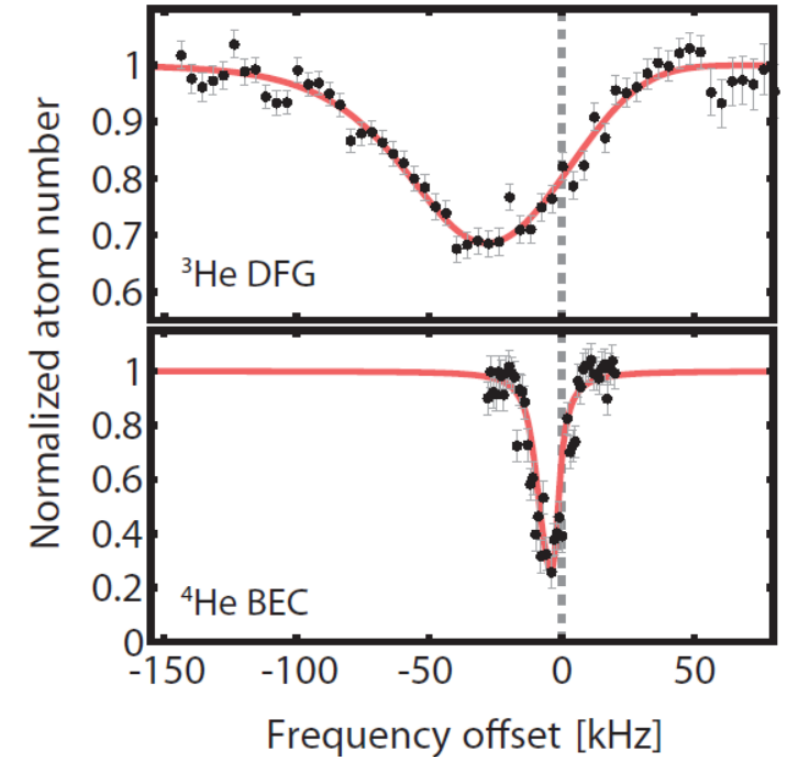
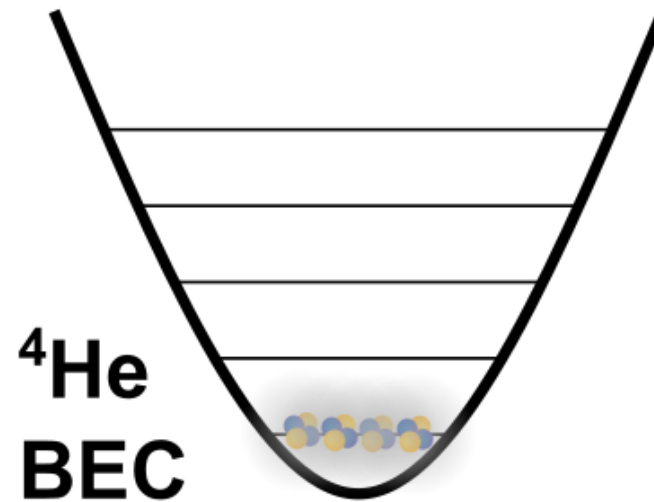
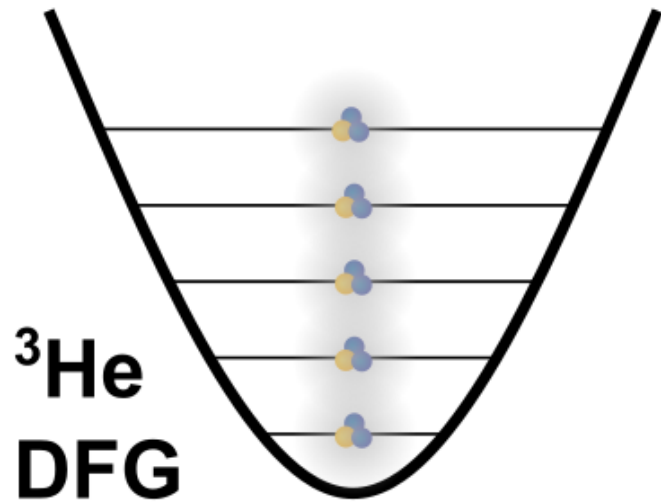
$T \approx 95\text{ nK}$   
 $T/T_F \approx 0.35 \sim 0.55$

PRELIMINARY RESULT



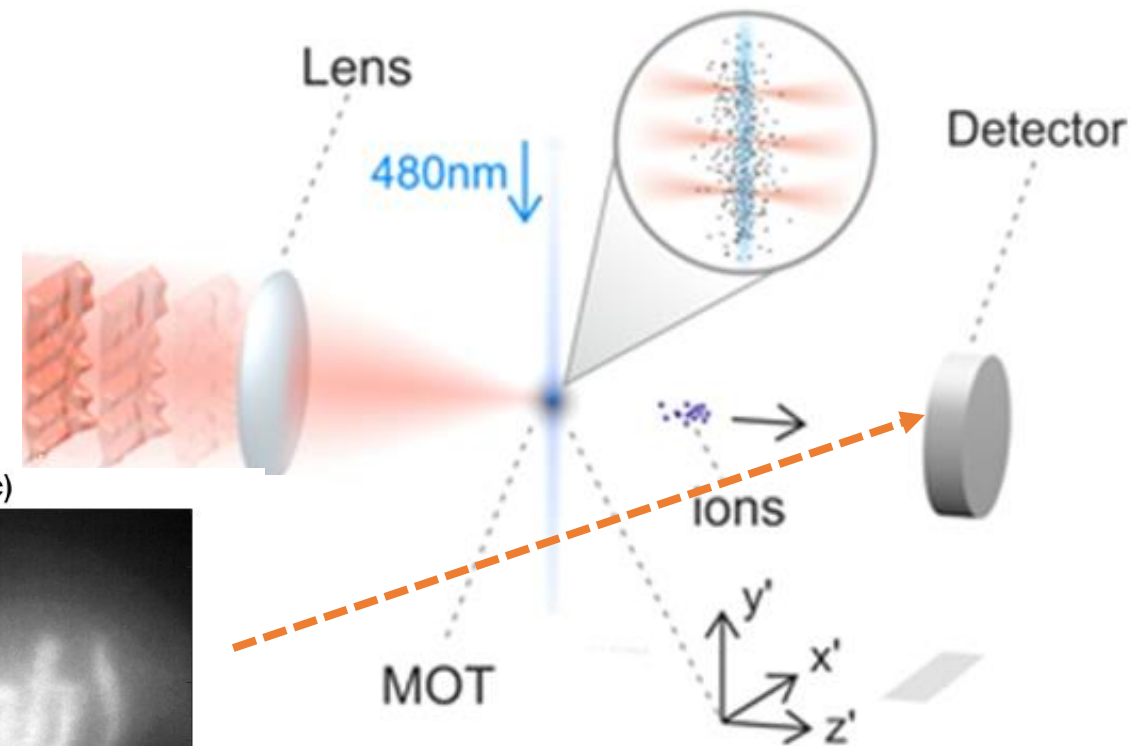
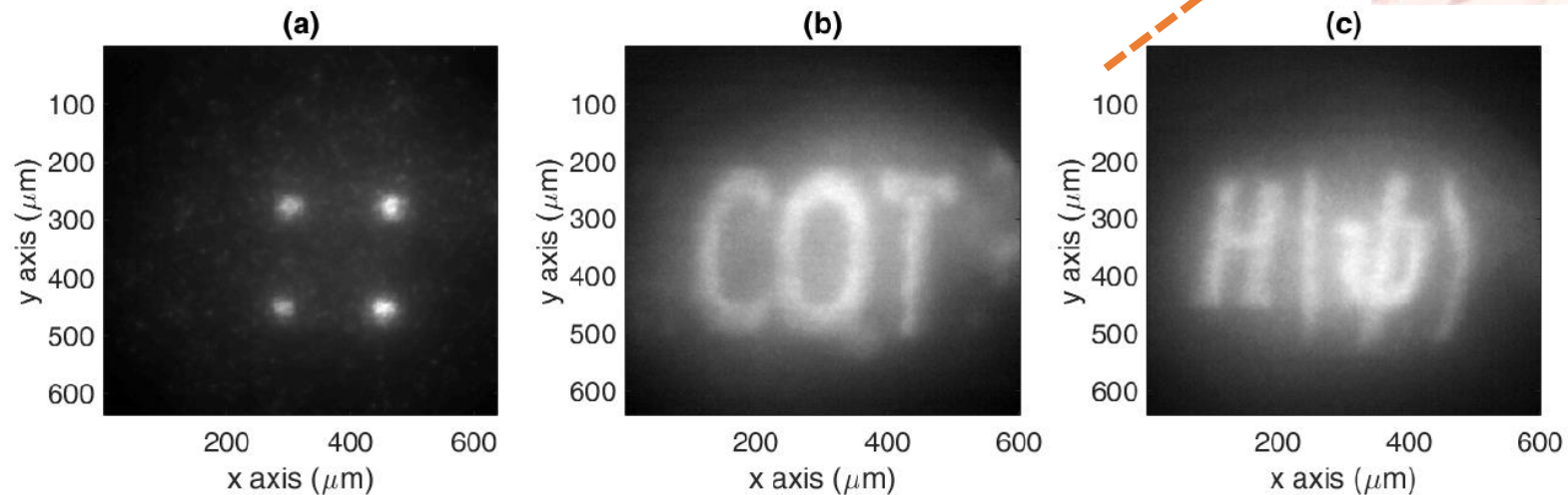
# Understanding the spectral lineshape

- Trapped fermionic  $^3\text{He}$ : Fermi-Dirac distribution
  - Distribution over motional states in the trap
  - Laser absorption Doppler broadened ( $T_F \sim 1 \mu\text{K}$ )



# Before PhD

- Master thesis work at Eindhoven University of Technology
- $^{85}\text{Rb}$  MOT
- Rydberg excitation (780 + 480)
- SLM: shaped excitation volume



# Before PhD

- Rydberg spectra:
  - Lineshape mediated by interactions
  - Rydberg facilitation
  - Spatial resolution obscured by ion repulsion

