



# Rapid Generation of Kilonova Light Curves Using Conditional Variational Autoencoder



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## Outline

- Background
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  - Conditional Variational Autoencoder
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# Kilonova

- Kilonova (KNe) is a thermal transient which is powered by the r-process, a radioactive decay of rapid neutron capture and observed as electromagnetic emission (EM) from the merger ejecta of two neutron star (NS+NS) or black hole and neutron star (NS+BH).
- This EM counterpart, further combined with gravitational waves (GW), can provide valuable insights and deeper understanding of the merger environment and its products.
- However, till now, there has been only one confirmed detection of KNe (GW170817) alongside GW.

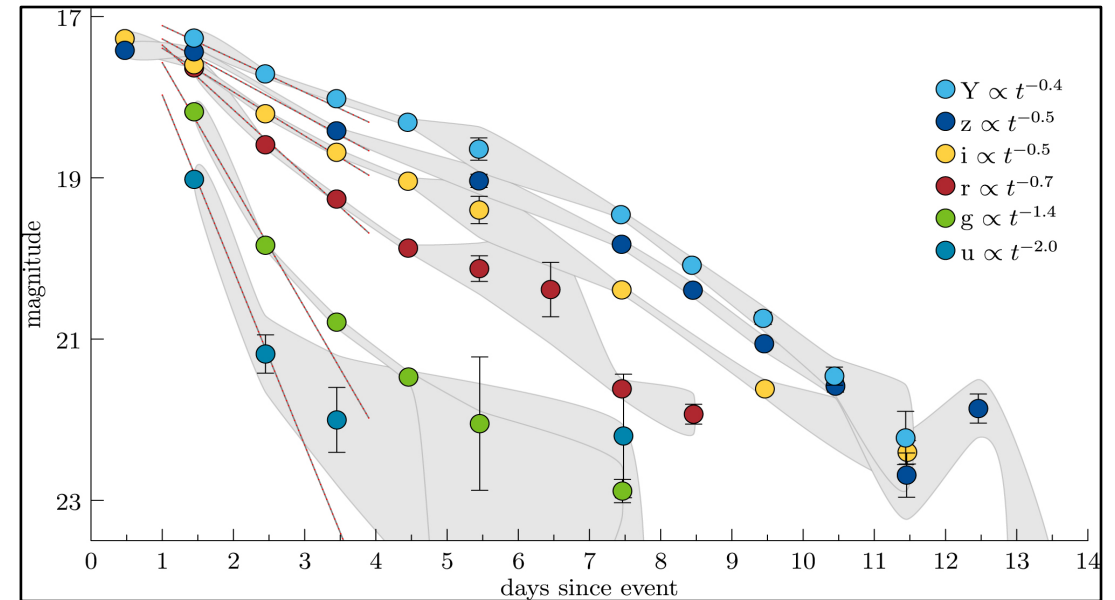
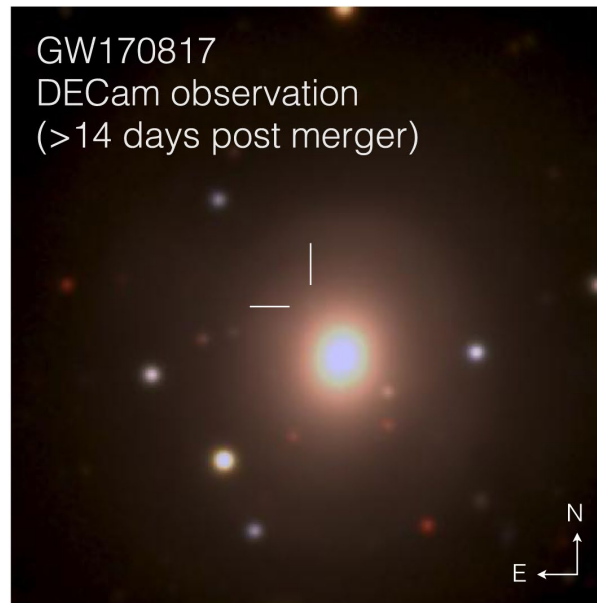
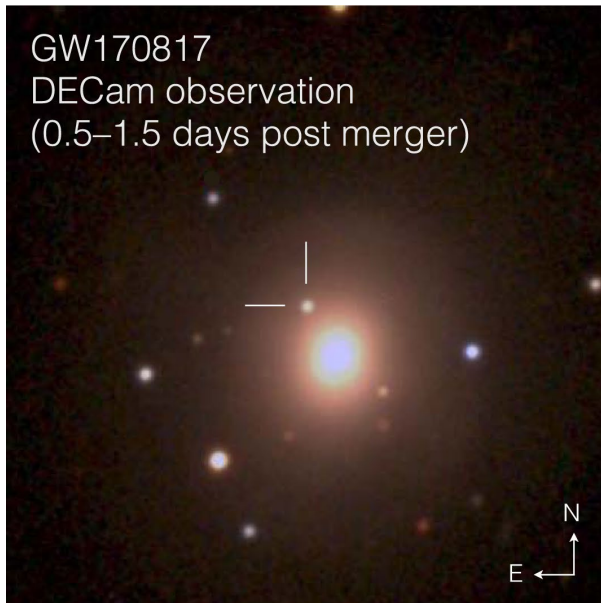
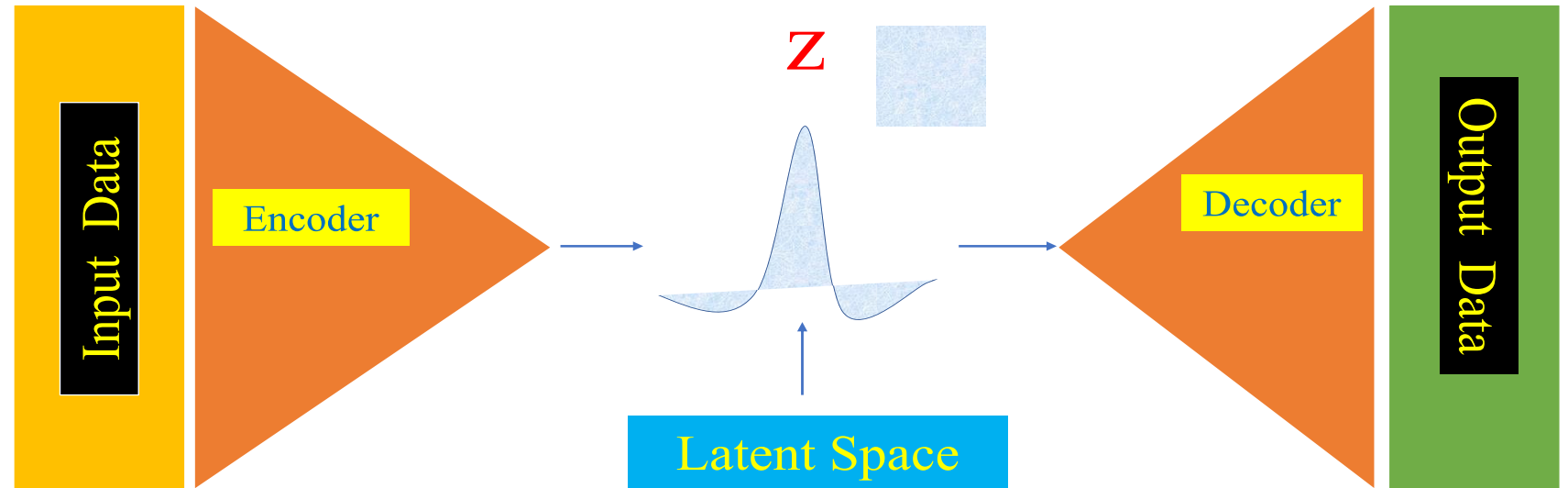


Image Credits: M. Soares-Santos *et al* 2017 *ApJL* 848 L16

# Conditional Variational Autoencoder



Schematic diagram of the conditional variational autoencoder (CVAE) from input to data generation.

In the figure, we have the probabilistic encoder  $Q(\phi)$  and the probabilistic decoder  $P(\theta)$  and the latent space  $Z$  which represents the compressed input or encoded representation.

## Motivation

**Multi-Messenger  
Astronomy**



**Machine Learning**

**&**

**Generate Accurate Kilonova Light Curves  
Rapidly Using Less Computation Resources**

# Data & Methodology

## Data

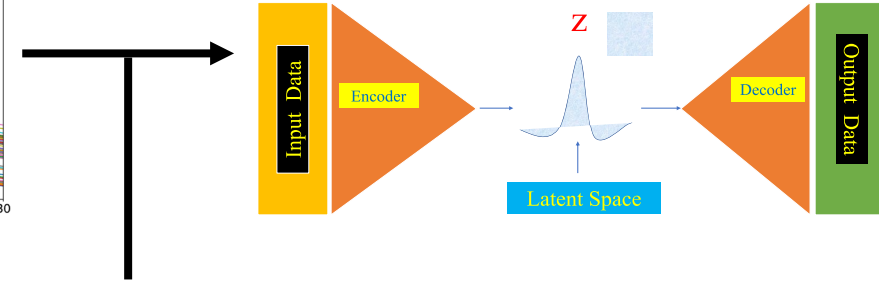
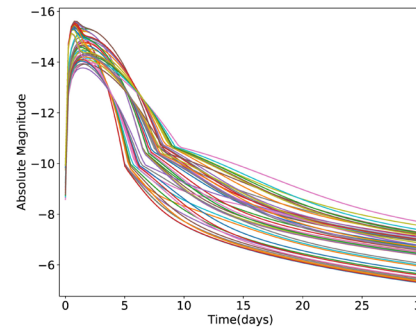
Data adopted from Matt Nichol's semi-analytic KNe model.

<https://doi.org/10.1093/mnras/stab1523>

- 529 KNe light curves
- Physical Parameters
  - Chirp Mass: **0.7-2.0  $M_0$**
  - Mass ratio: **0.5-1.0**
  - Fraction of remnant disk: **0.15-0.45**
  - Viewing angle from the pole:  **$0^\circ - 90^\circ$**
- Number of Physical Parameters Set: 529
- Filter Bands: u,g,r,y, i and z.

## Methodology

Data set (529) = Training(401) + Test(64) + Validation(64)

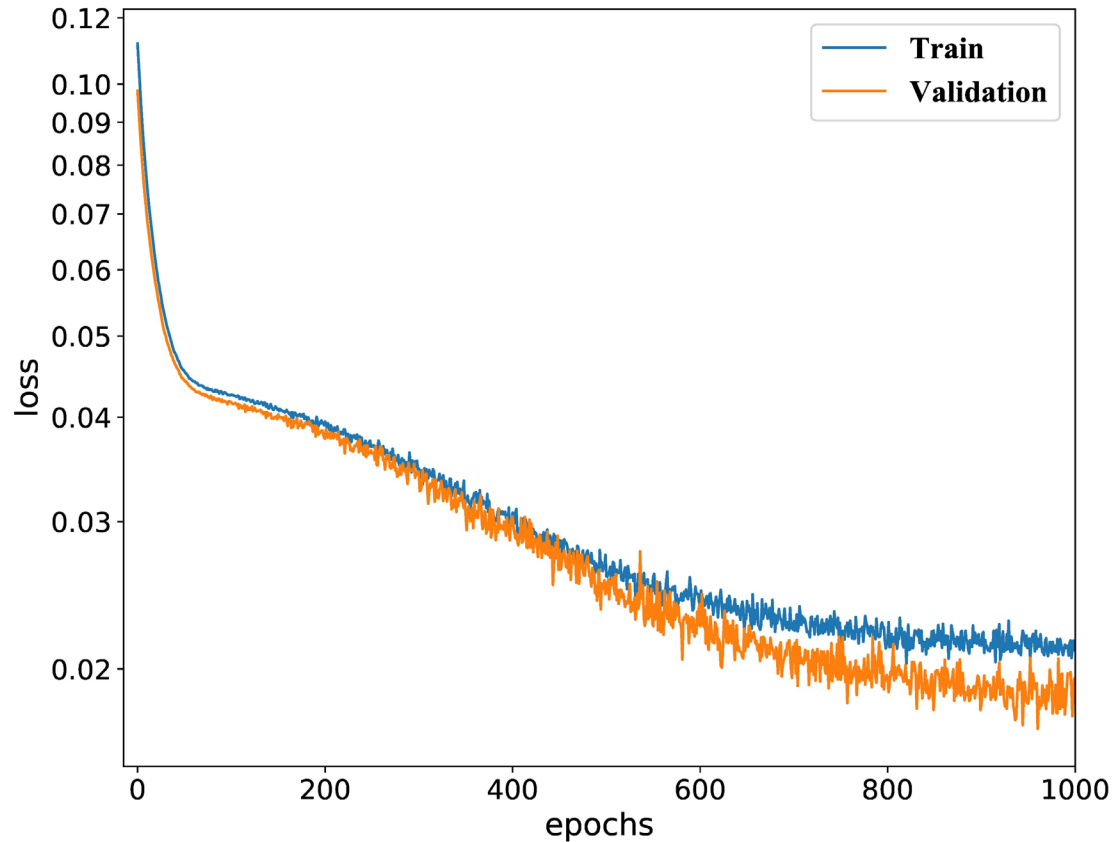


Train the light curves by conditioning them on physical parameters

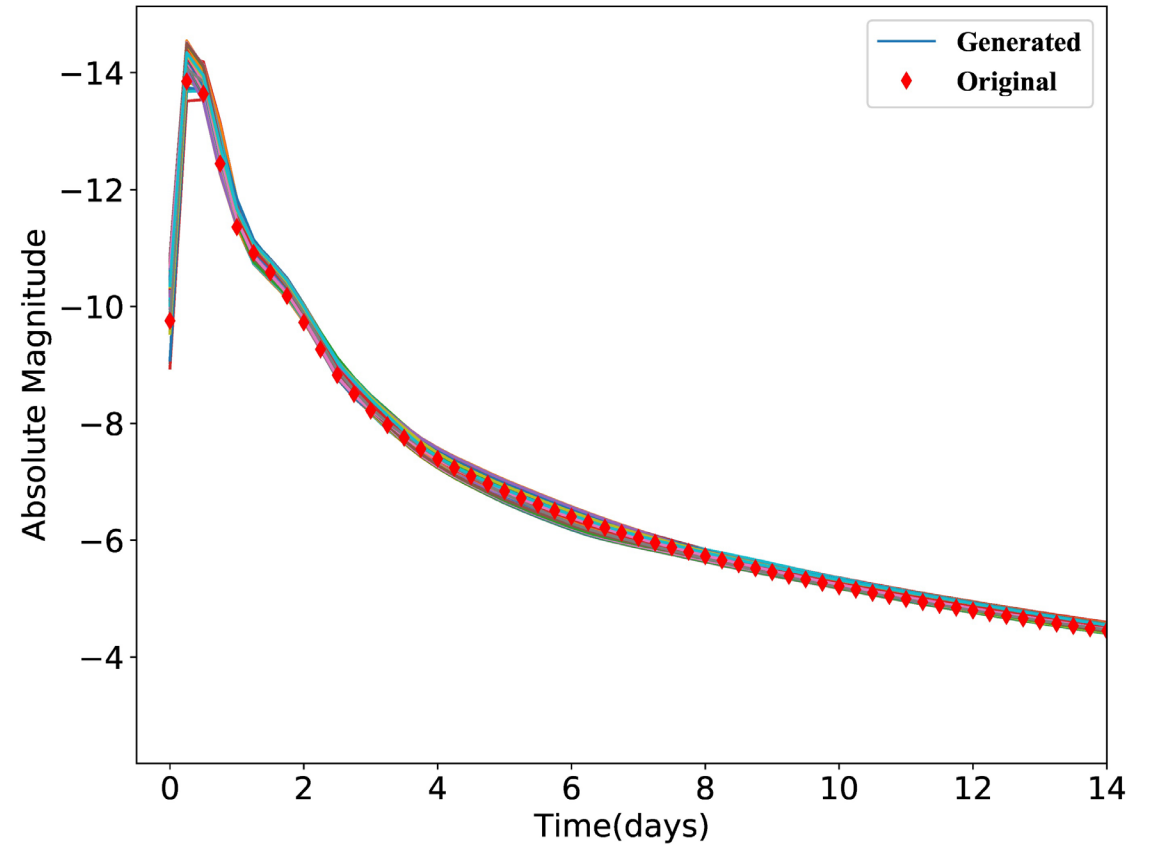
Check the performance of CVAE

Generate the light curves for the required values of physical parameters

# Initial Performance-Check For CVAE



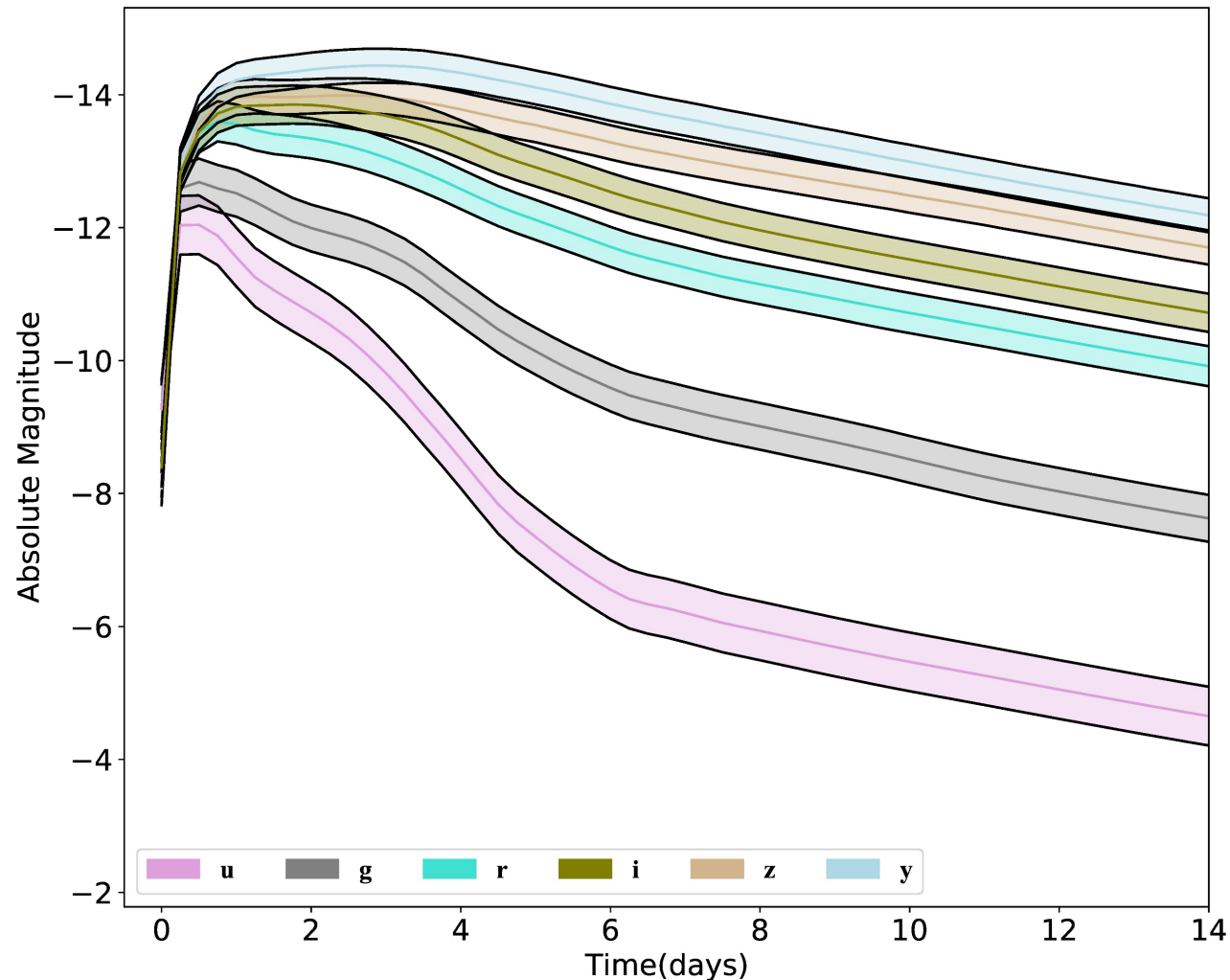
Obtained Loss Plot



True vs Generated Light Curves for 1.8M<sub>0</sub> chirp mass,  
0.7 mass ratio, 0.15 fraction of remnant disk and 90°  
viewing angle



# CVAE Performance-Check on Unseen Physical Parameter Set

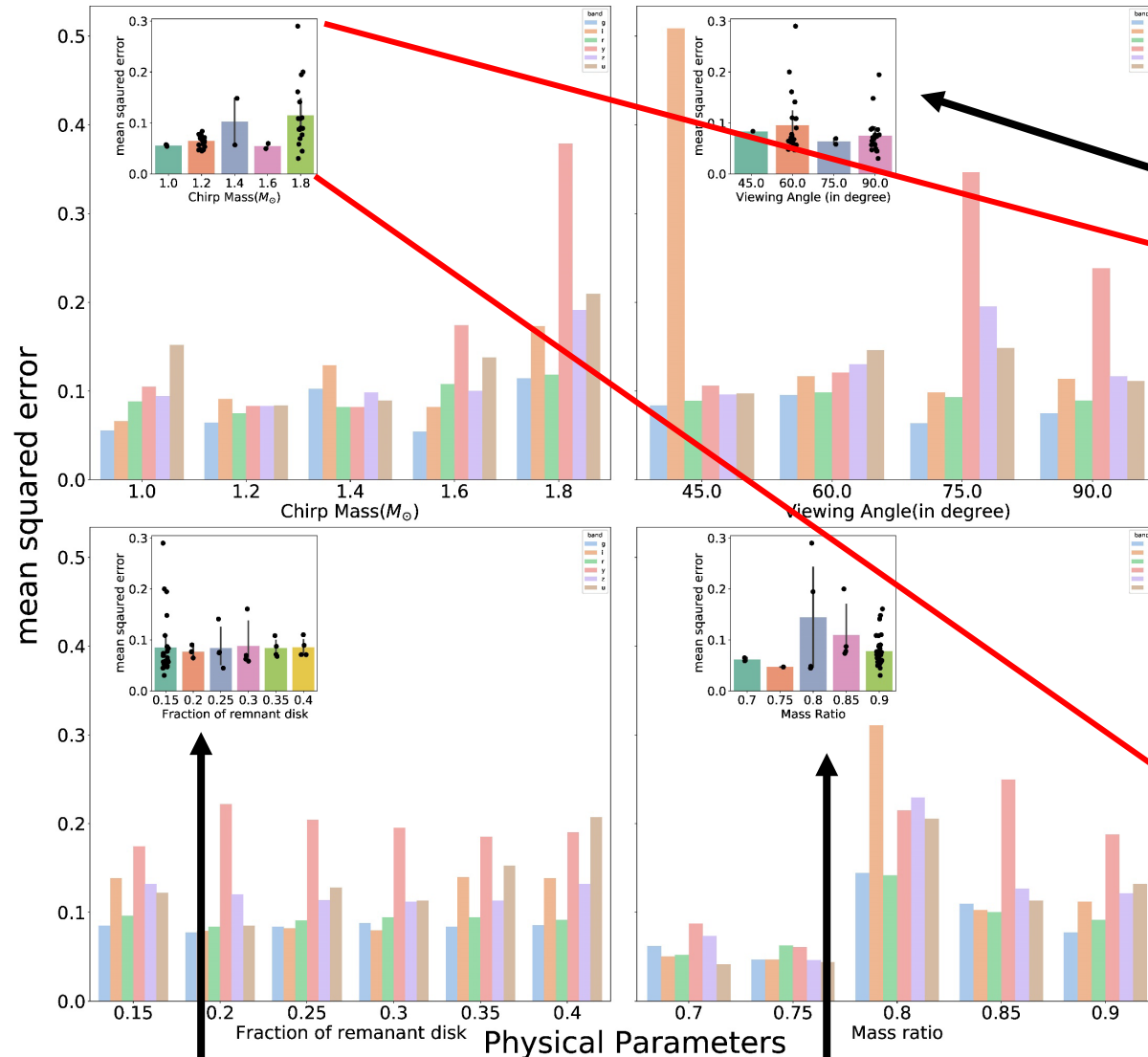


Mass Ratio  
Viewing angle  
Chirp Mass  
Fraction of Remnant Disk

$[1.2M_0, 0.7, 0.15, 60^\circ]$

90% Confidence interval for the CVAE-generated light curves for the above physical parameter across different filter bands

# CVAE Performance Over The Entire Parameter Space

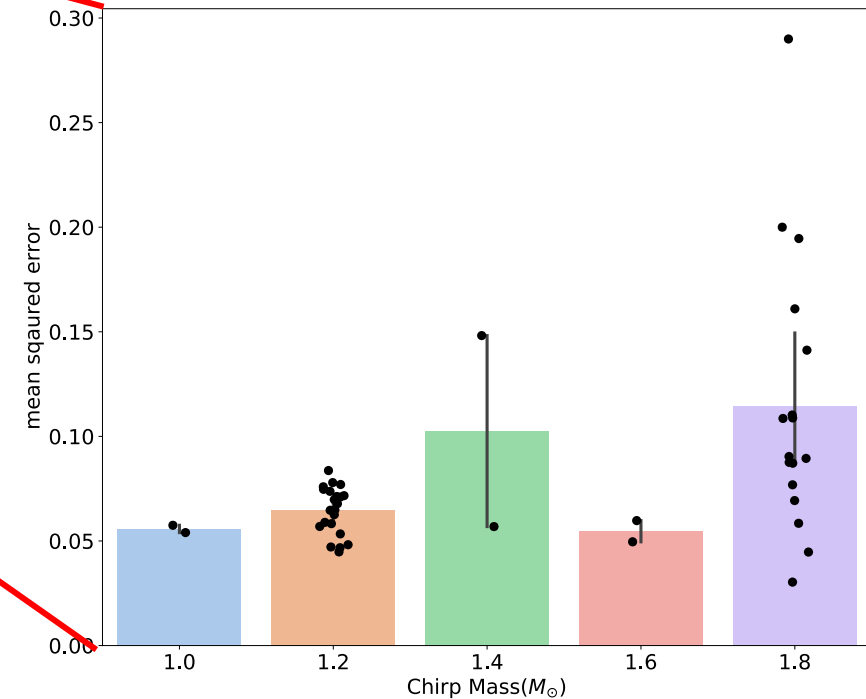


Fraction of Remnant  
Disk

Mass Ratio

Mean Squared Error Plots between the original and  
CVAE-generated light curves.

Viewing angle



CVAE Performance Over The Chirp Mass  
Parameter Space for g-band light curves

# Summary

1. Training time is ~20 mins and generation of light curves takes ~milli-seconds.
2. Calculated MSE is 0.015-0.08.
3. Performance across the parameter space is satisfactory.
4. Accelerating the existing method by  $10^3$  times.

**Thank You For Your  
Attention  
Questions and Comments**