

# Superfluid optomechanics for DM direct detection

Peter Cox

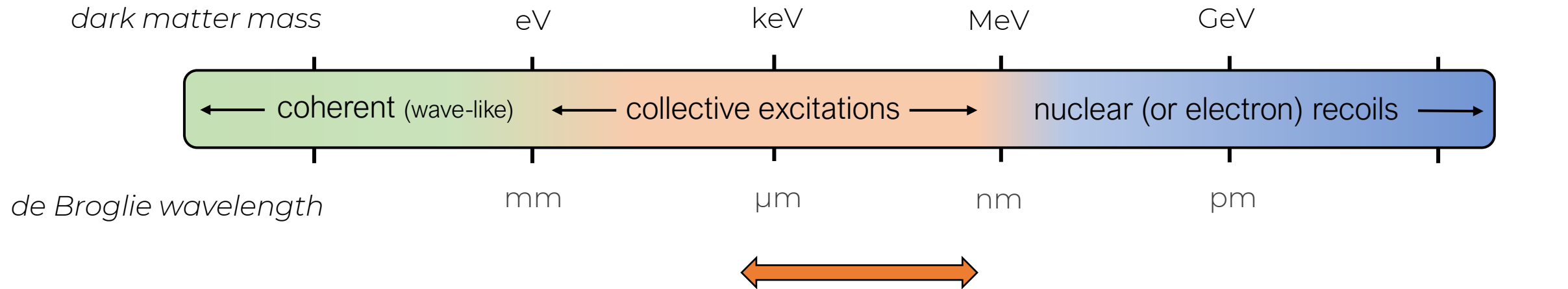
*The University of Melbourne*

*with C. Baker, W. Bowen, M. Dolan, M. Goryachev, G. Harris*

*2306.09726*

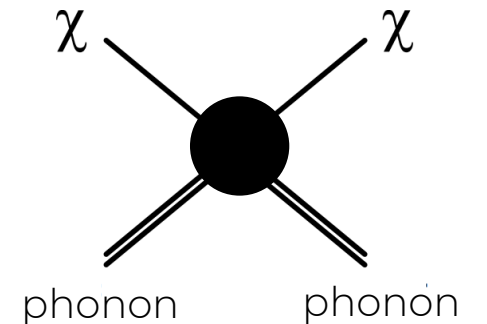


# Sub-MeV dark matter: collective excitations



Sub-MeV mass DM interacts directly with collective excitations (e.g. *phonons*)

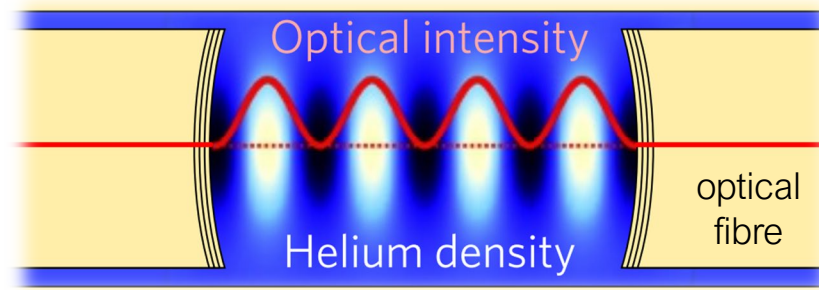
*Challenge:* need very low energy thresholds



# Optomechanical single phonon detection

Superfluid optomechanical cavities are *single phonon detectors*

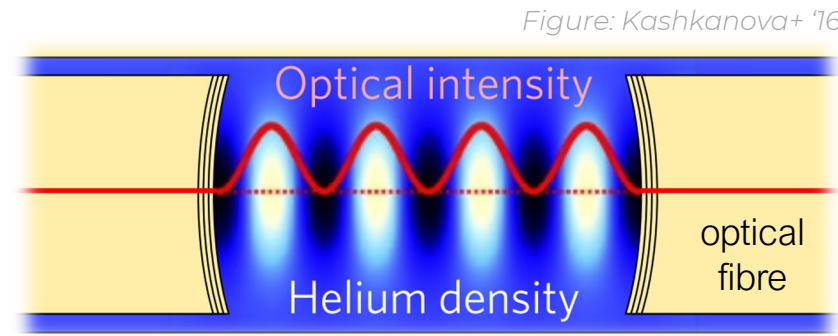
Figure: Kashkanova+ '16



*superfluid  $^4\text{He}$  filled optical cavity*

# Optomechanical single phonon detection

Superfluid optomechanical cavities are *single phonon detectors*



*superfluid  $^4\text{He}$  filled optical cavity*

Coupling between acoustic (density) modes and optical modes

converts  $\sim\mu\text{eV}$  phonons into  $\sim\text{eV}$  photons

Optomechanical systems have demonstrated  $\mu\text{eV}$  phonon counting (e.g. Patil et. al. '22)

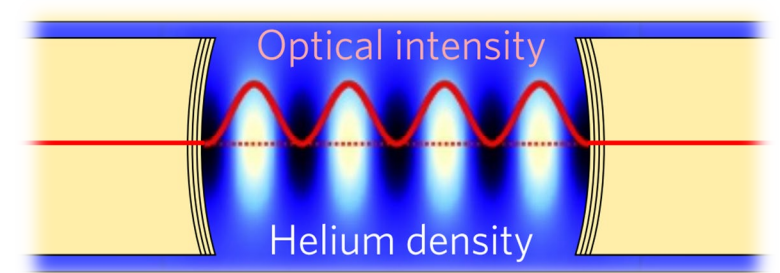
# Superfluid optomechanics

At quantum level described by the Hamiltonian:

$$H_{\text{OM}} = -g_0(a_{\gamma_1} a_{\gamma_2}^\dagger b_m + a_{\gamma_1}^\dagger a_{\gamma_2} b_m^\dagger)$$

photons      phonon

optomechanical coupling



# Superfluid optomechanics

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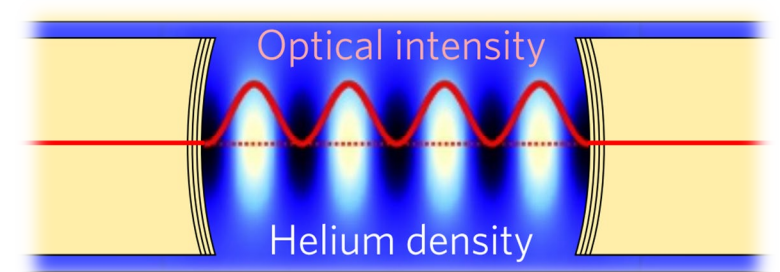
$$H_{\text{OM}} = -g_0(a_{\gamma_1} a_{\gamma_2}^\dagger b_m + a_{\gamma_1}^\dagger a_{\gamma_2} b_m^\dagger)$$
$$\rightarrow -g_0 \sqrt{N_1} (a_{\gamma_2}^\dagger b_m + a_{\gamma_2} b_m^\dagger)$$

Diagrammatic annotations for the Hamiltonian:

- An orange arrow points from the word "photons" to the  $a_{\gamma_1}$  term in the first equation.
- A blue arrow points from the word "phonon" to the  $b_m$  term in the first equation.
- A black arrow points from the text "pump laser enhances small  $g_0$ " to the  $N_1$  term in the second equation.
- A black arrow points from the text "phonon-photon conversion" to the  $a_{\gamma_2} b_m^\dagger$  term in the second equation.

pump laser enhances small  $g_0$

phonon-photon conversion



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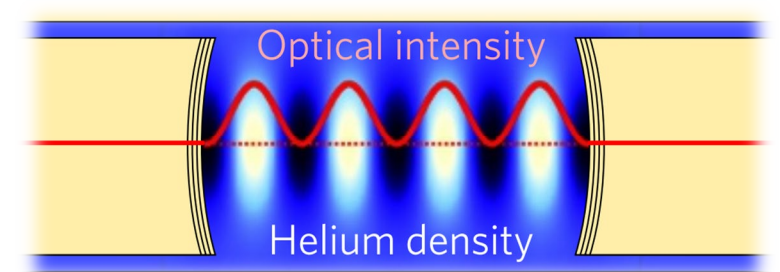
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pump laser enhances small  $g_0$

phonon-photon conversion



Pair of photons interact with single phonon mode with energy/wavelength

$$\Omega_m = \omega_{\gamma_2} - \omega_{\gamma_1}$$

$$\lambda_m \approx \lambda_{\gamma}/2$$

# Phonon lasing

Superfluid optomechanical systems as dark matter detectors:

- ✓ exceptional low-energy sensitivity ( $\sim \mu\text{eV}$ )
- ✗ narrow-band detector (single phonon energy)

➡ Very low dark matter scattering rate due to restricted phase space



# Phonon lasing

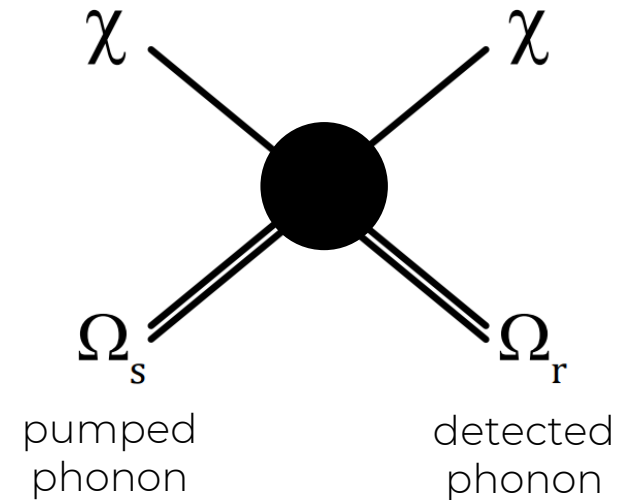
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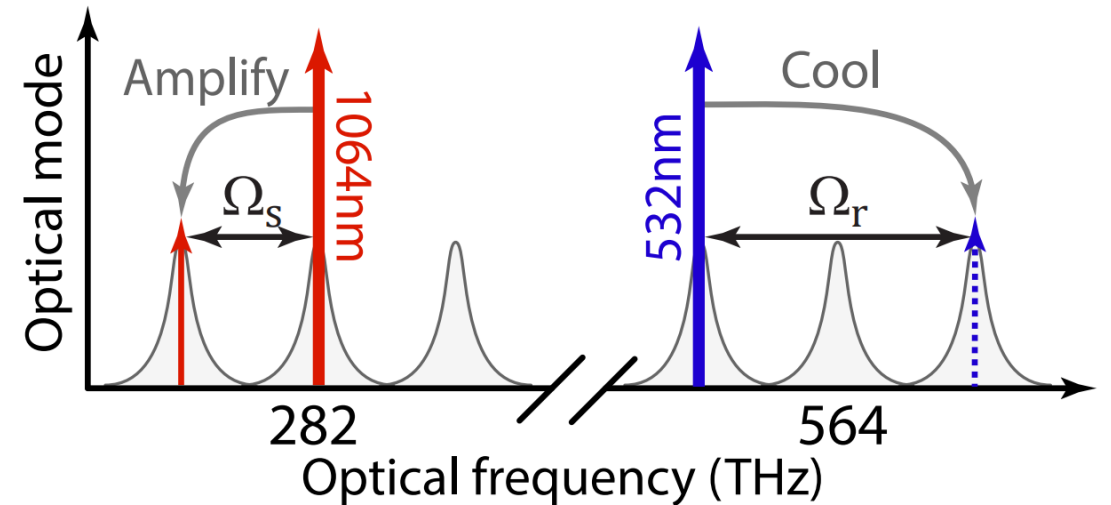
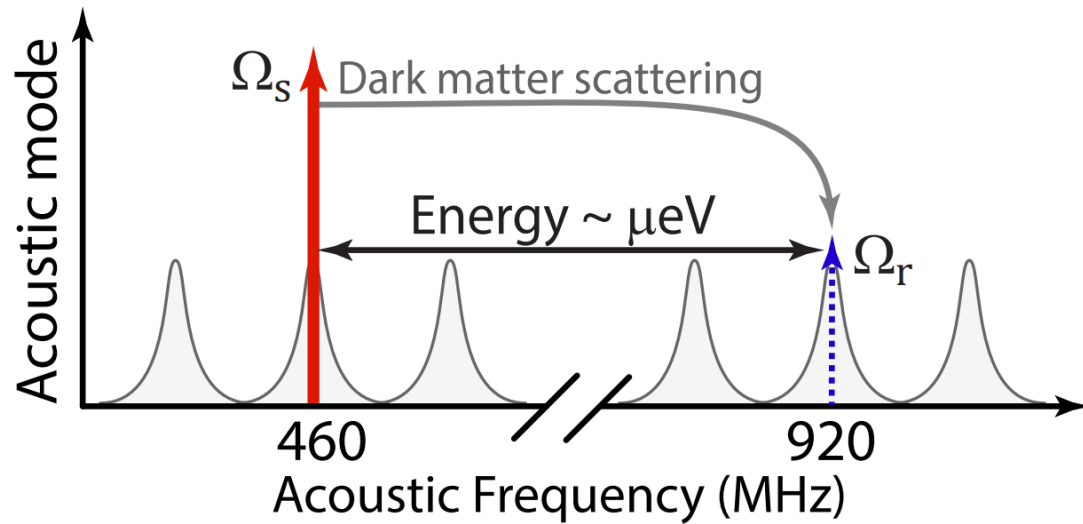
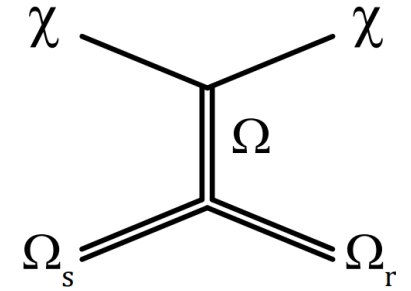
*Solution:* Phonon lasing

- Stimulated scattering rate proportional to phonon occupation number
- Can be achieved using optomechanical interaction



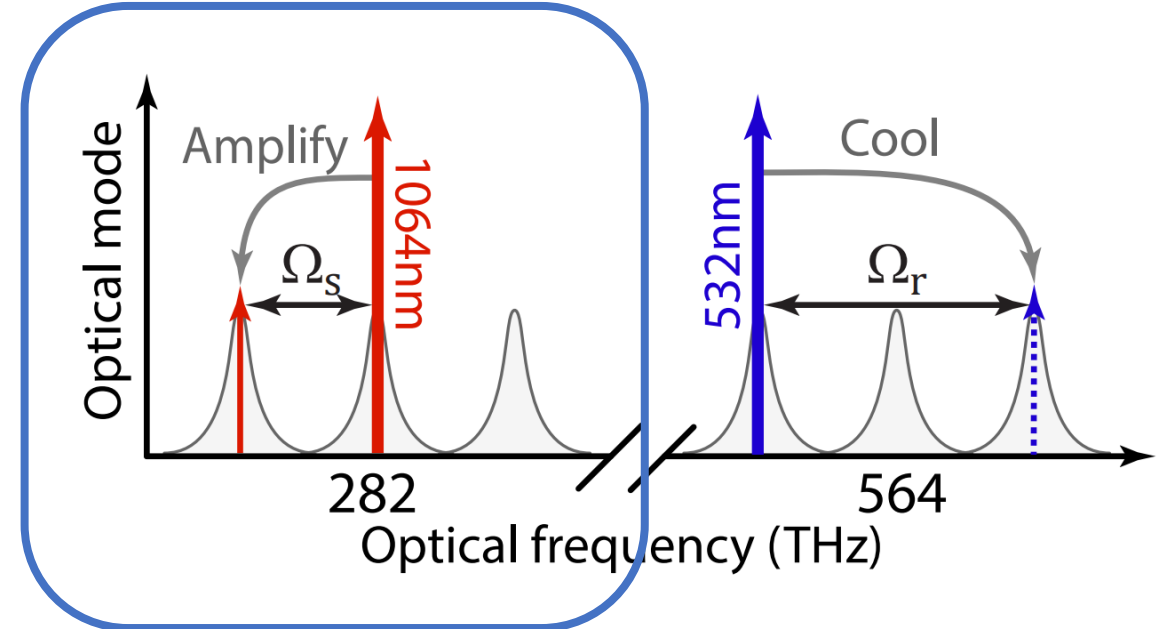
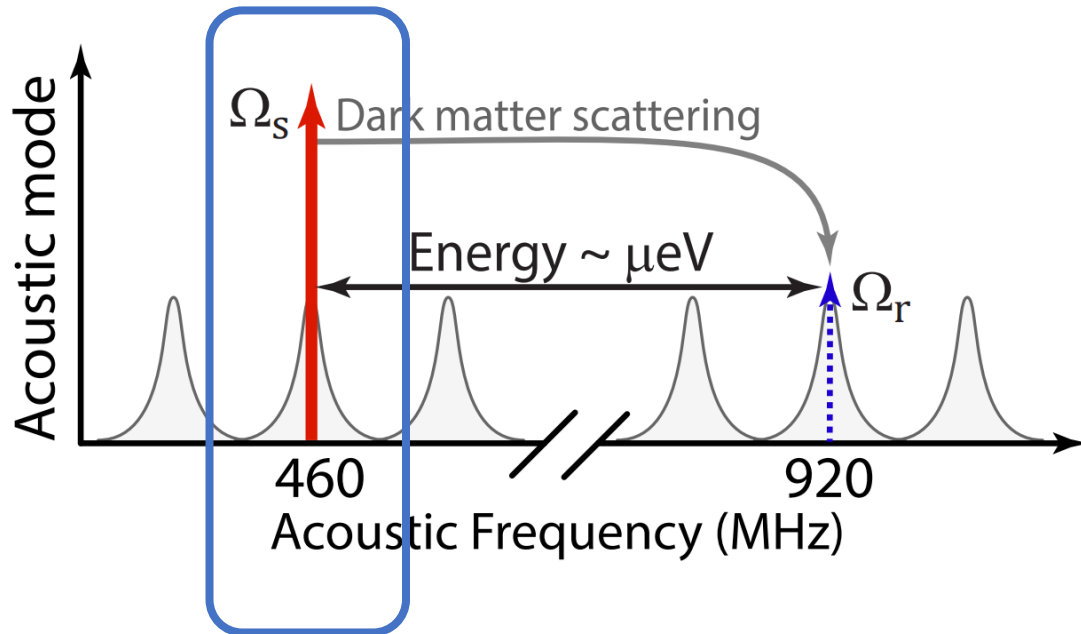
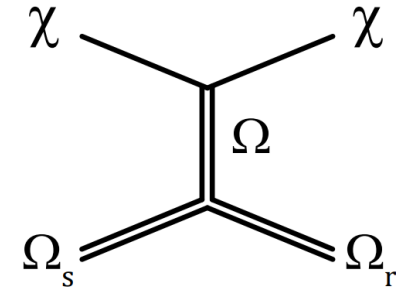
# Optomechanical detection

Dark matter detector requires optomechanical control of *two* acoustic modes



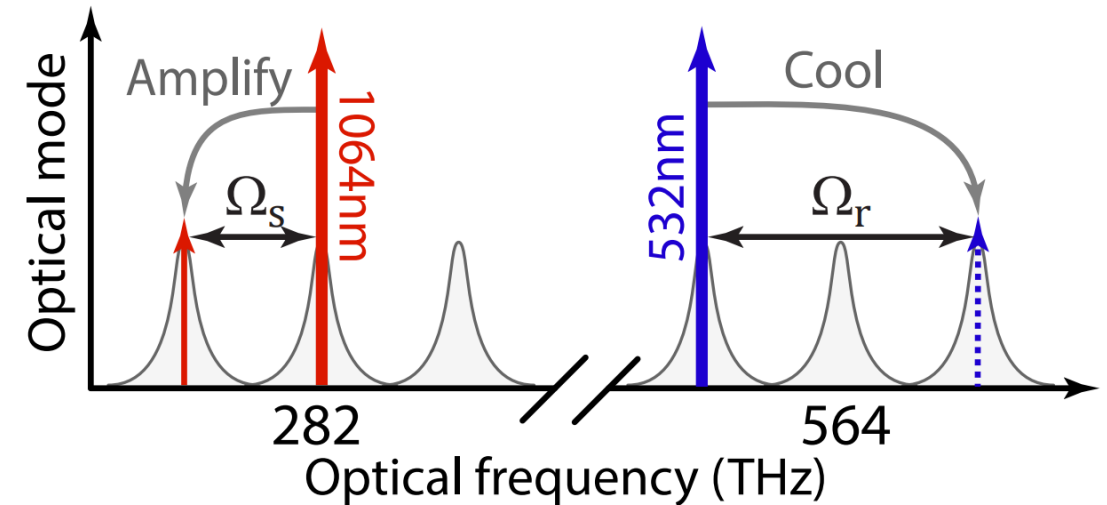
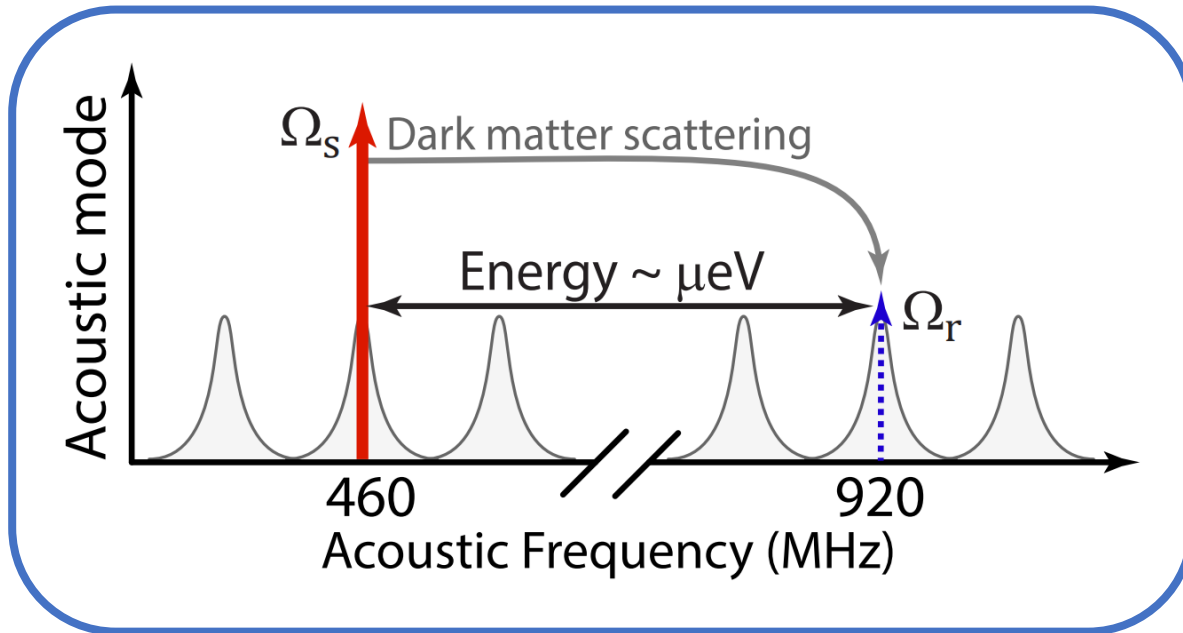
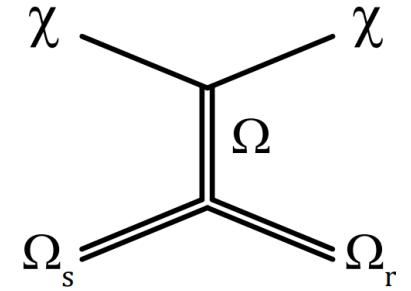
# Optomechanical detection

- 1 Lower energy phonon mode  $\Omega_s$  populated via optomechanical interaction



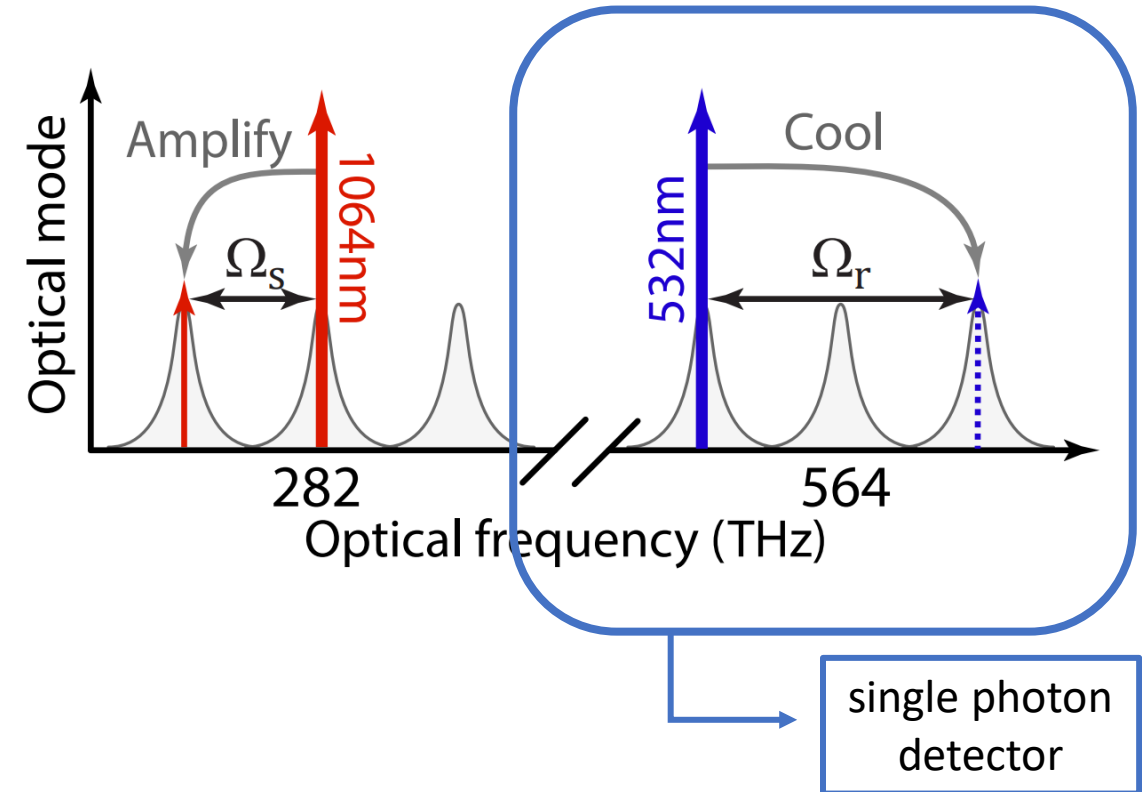
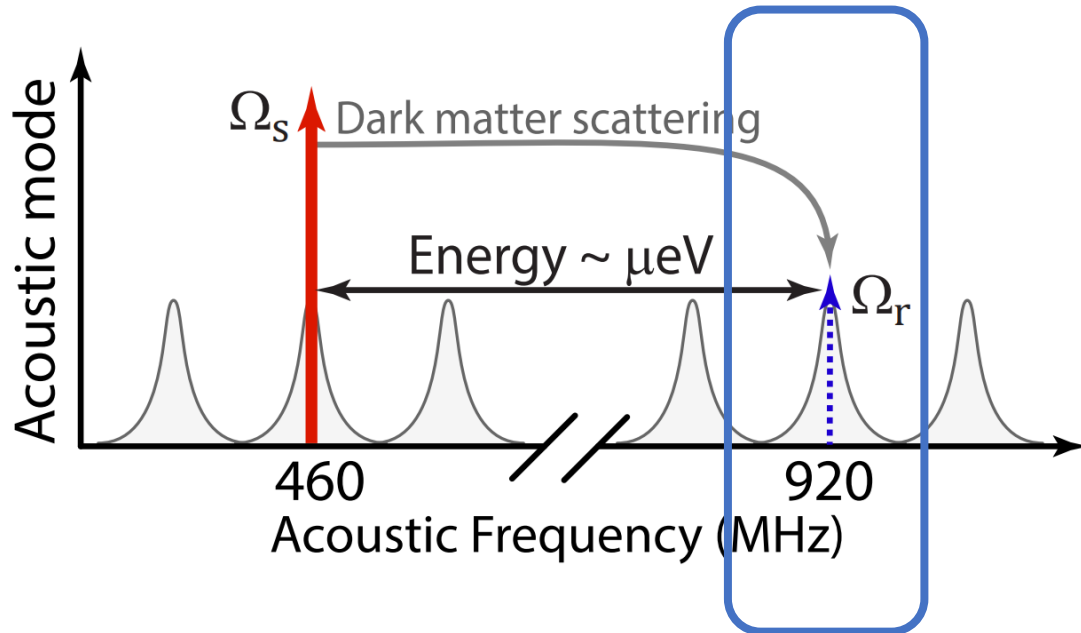
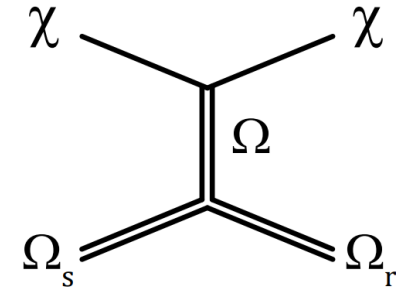
# Optomechanical detection

- 2 Stimulated dark matter scattering excites higher energy phonon mode  $\Omega_s \rightarrow \Omega_r$



# Optomechanical detection

- 3 Optomechanical conversion of  $\Omega_r$  phonon to photon that is detected with SNSPD



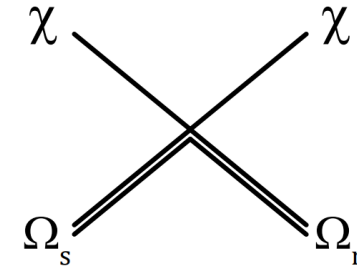
# DM-phonon scattering rate

Initial state phonon number density

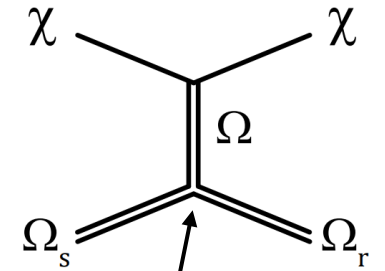
$$R \propto \frac{\rho_{\chi} \sigma_{\chi n}}{m_{\chi}^3} n_s Q^2 \frac{\Omega_r \Omega_s}{m_{\text{He}}^2 c_s^4} \frac{(1 + \gamma_G)^2}{1}$$

Acoustic quality factor:  $Q = \Omega_m / \Gamma_m$

3-phonon interaction  
(Grüneisen parameter)



resonantly enhanced



3-phonon interaction

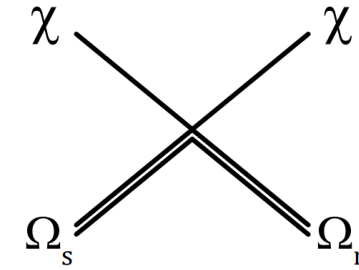
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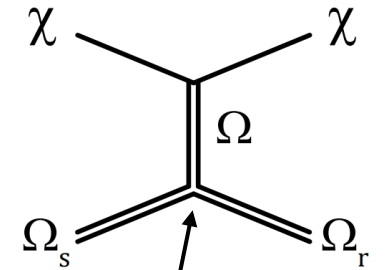
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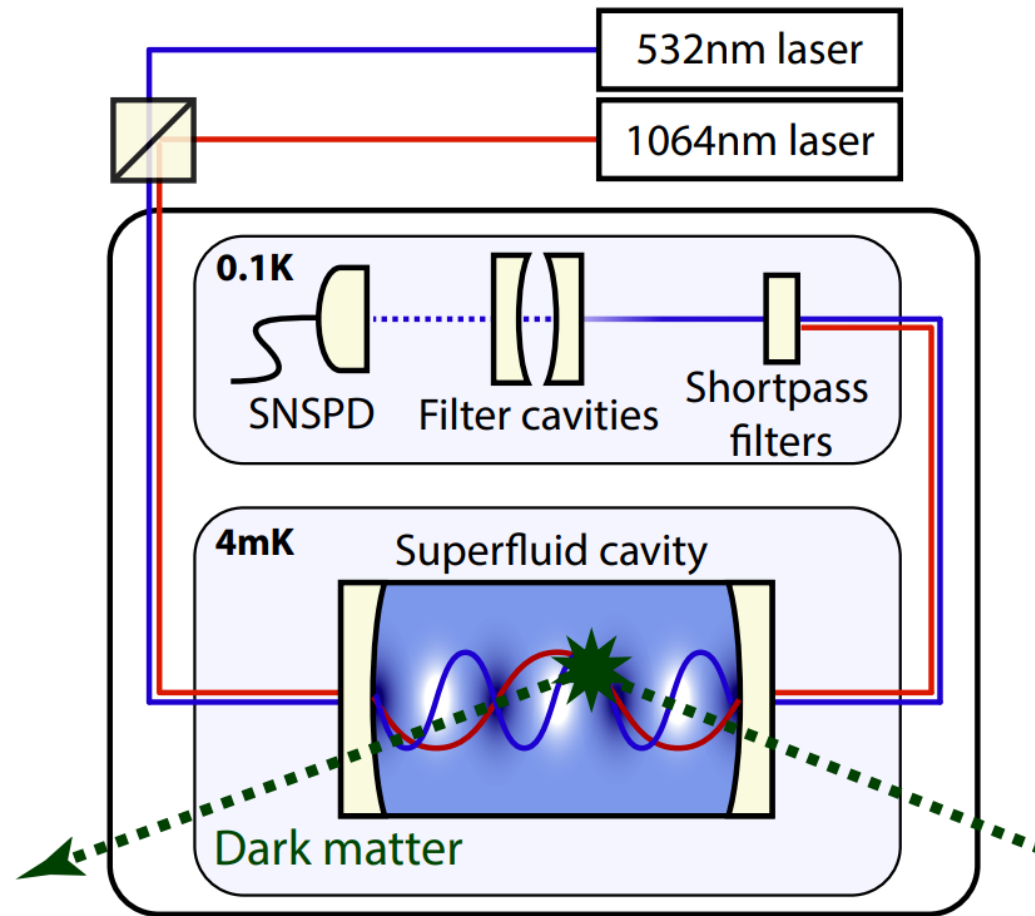


3-phonon interaction

Scattering is between specific initial *and final* phonon states:

- I. Scattering is at fixed momentum transfer, aligned with the cavity:  $q = (\Omega_r - \Omega_s)/c_s$
- II. Event rate is *independent* of cavity volume! (for individually resolved modes)

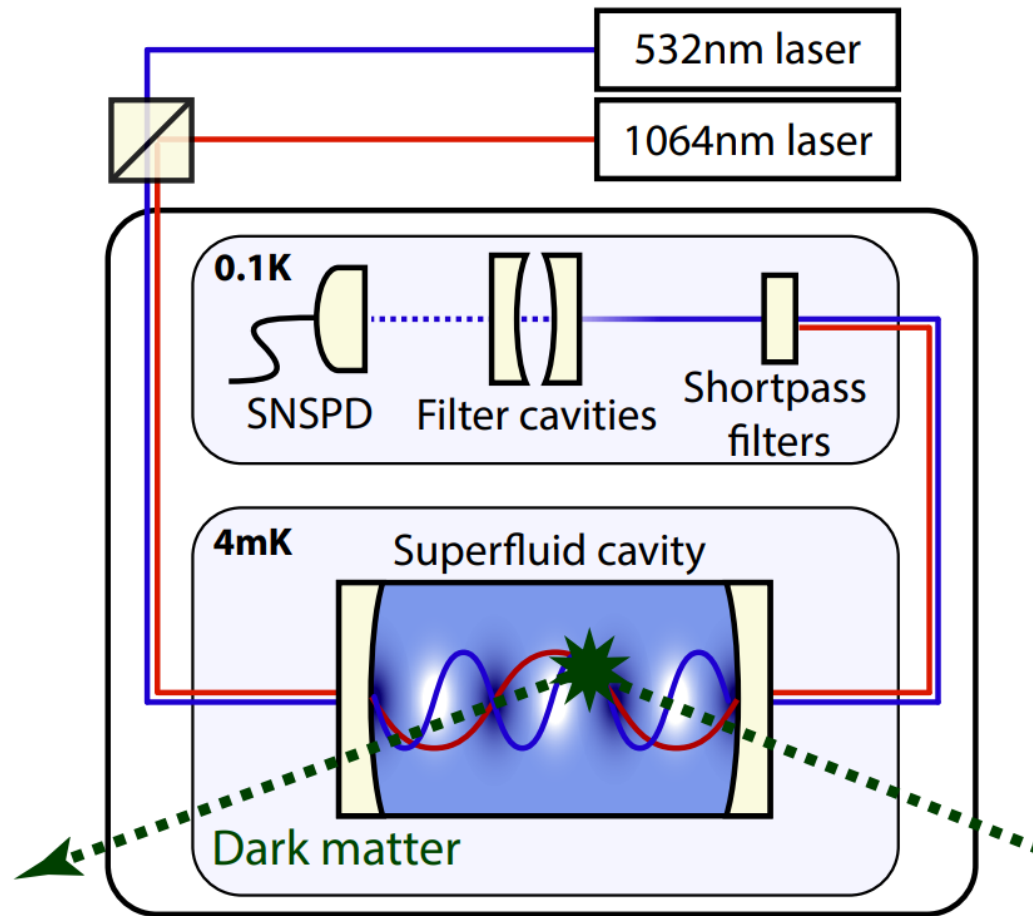
# ODIN: Optomechanical Dark-matter INstrument



cavity dimensions  $\sim 30\text{cm} \times 0.7\text{mm}$



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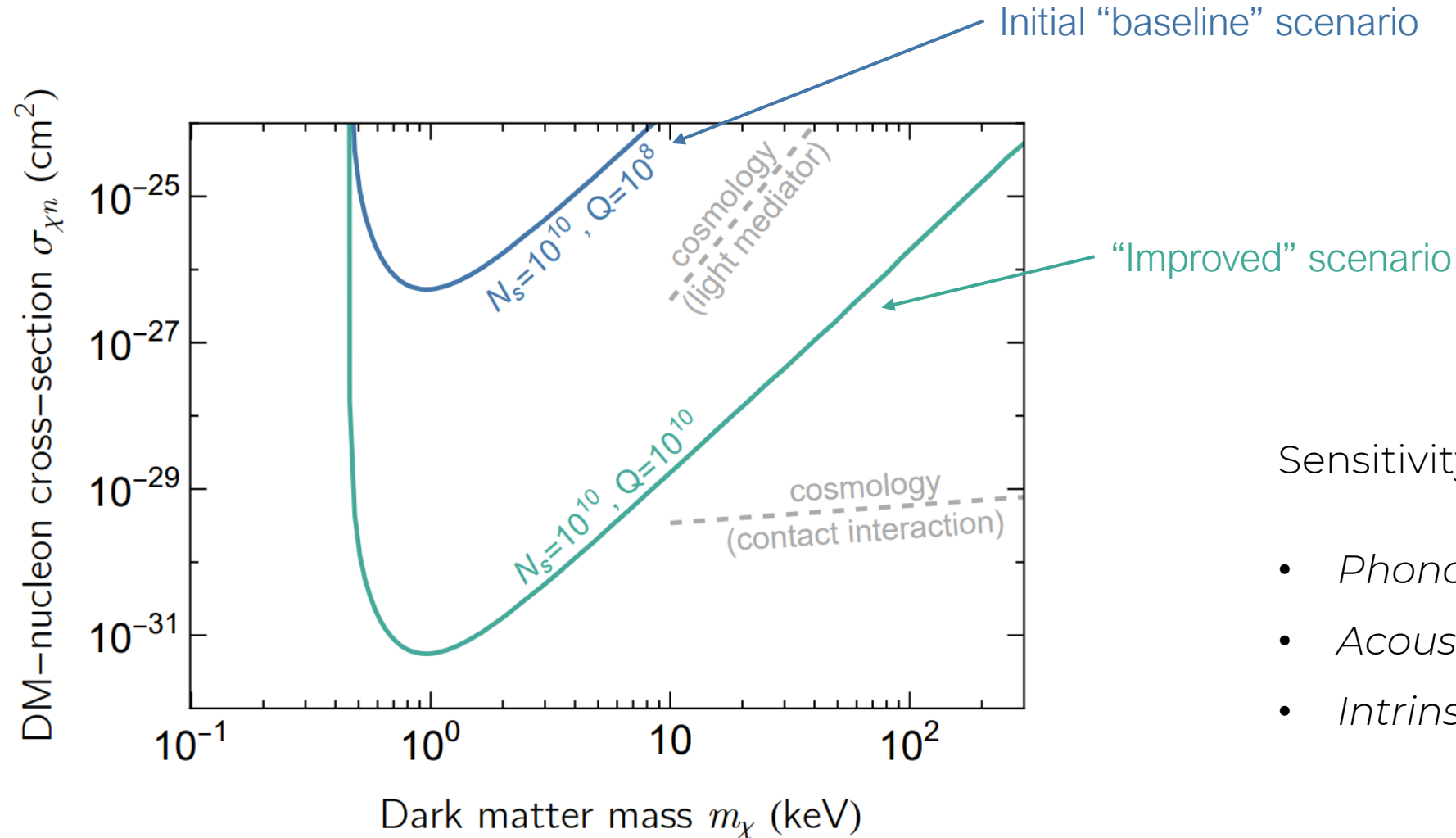
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Main detector backgrounds:

- *Thermal phonons*  
( $10^{-5}$  Hz at  $T = 4\text{mK}$  and  $Q = 10^{10}$ )
- *SNSPD dark counts*  
( $\sim 6 \times 10^{-6}$  Hz)
- *Incomplete filtering of pump lasers*  
(especially 532nm, suppressed with filter cavities)

Expected background rate  $\sim 1$  event/day

# ODIN: Projected Sensitivity

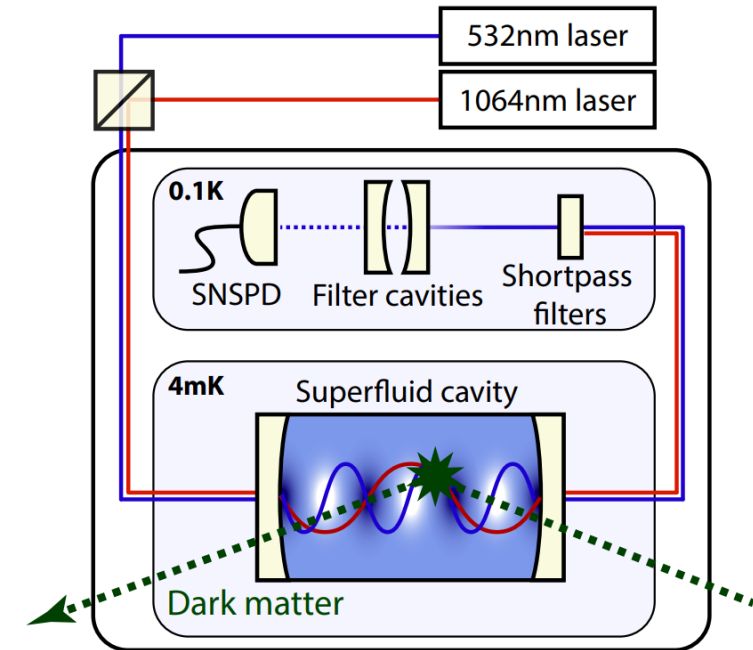


Sensitivity primarily determined by:

- Phonon occupation  $N_s$
- Acoustic  $Q$ -factor ( $\Omega_m/\Gamma_m$ )
- Intrinsic background rate

# Summary

- Superfluid optomechanical systems are *single phonon detectors*
- Amplification via conversion of  $\sim\mu\text{eV}$  phonons to  $\sim\text{eV}$  photons
- Phonon lasing enhances dark matter event rate and enables *controlled modulation of signal*
- ODIN is projected to be sensitive to  $\sim\text{keV}$  mass dark matter with cross-sections of  $\mathcal{O}(10^{-32}) \text{ cm}^2$
- Further studies to optimise design are ongoing – stay tuned!



# Backup

# Optical asymmetry

Optical mode spacing (FSR) can be engineered to select amplification/cooling of acoustic modes:

