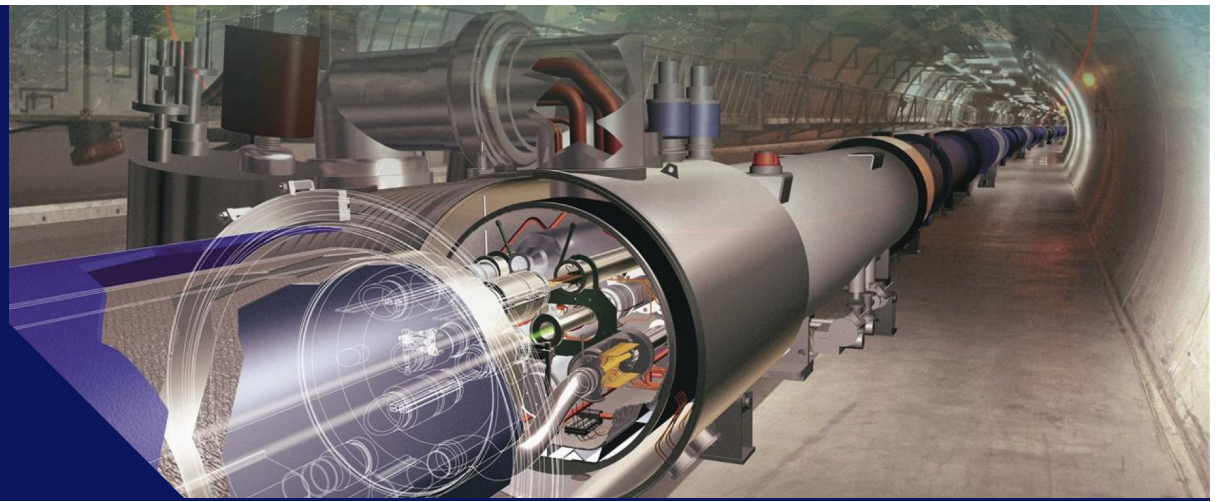


DIS 2023

Michigan State University

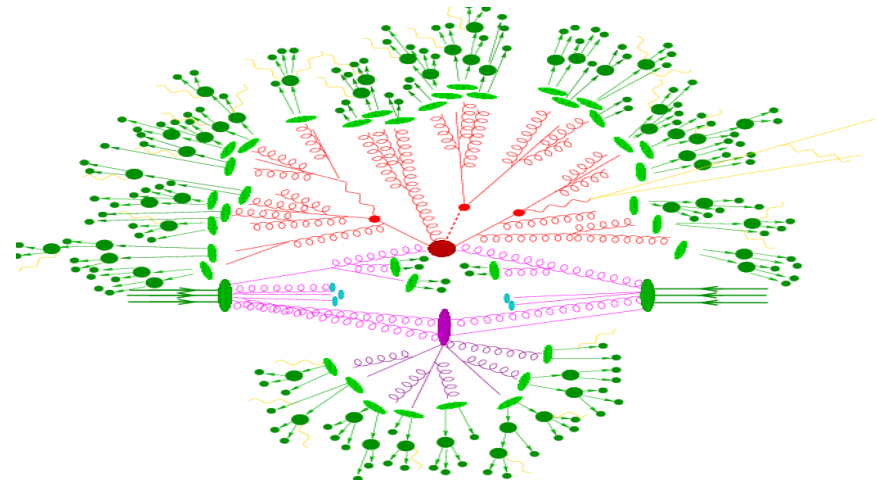
27 – 31 March 2023



# Underlying Event Measurements at ATLAS

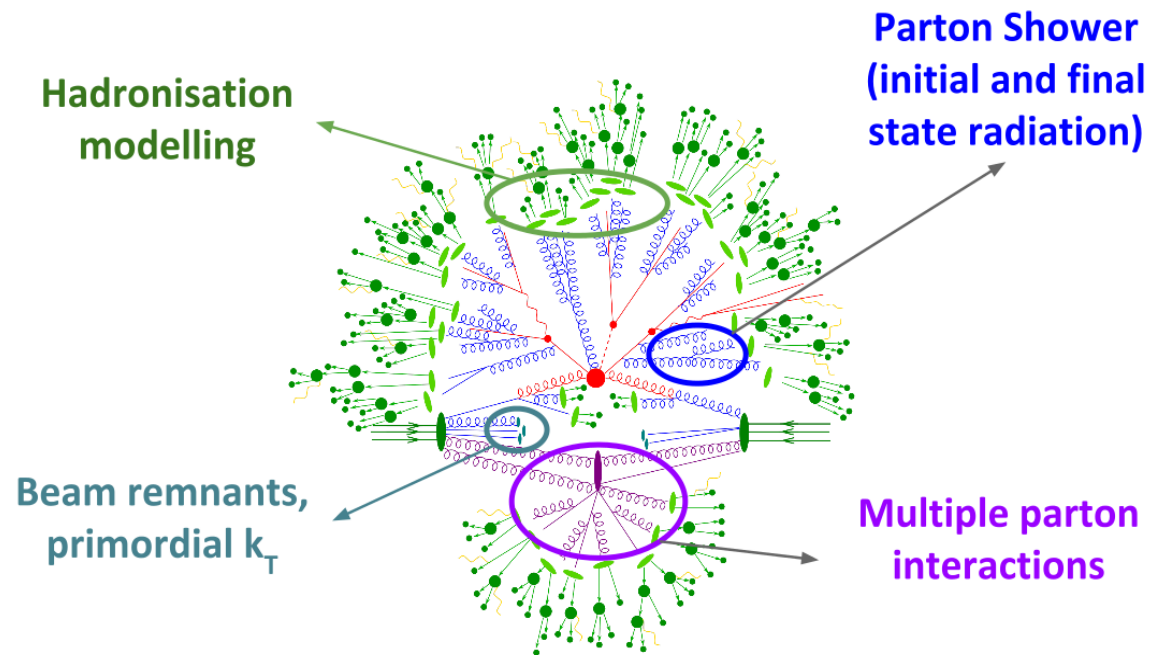
Claire Gwenlan, Oxford

on behalf of the ATLAS collaboration



- *Observables sensitive to colour reconnection in  $t\bar{t}b\bar{b}$  events* ( [arXiv:2209.07874](https://arxiv.org/abs/2209.07874) )
- *Correlation of  $Y$  meson production with the underlying event* ( [ATLAS-CONF-2022-23](#) )

# Underlying Event at the LHC



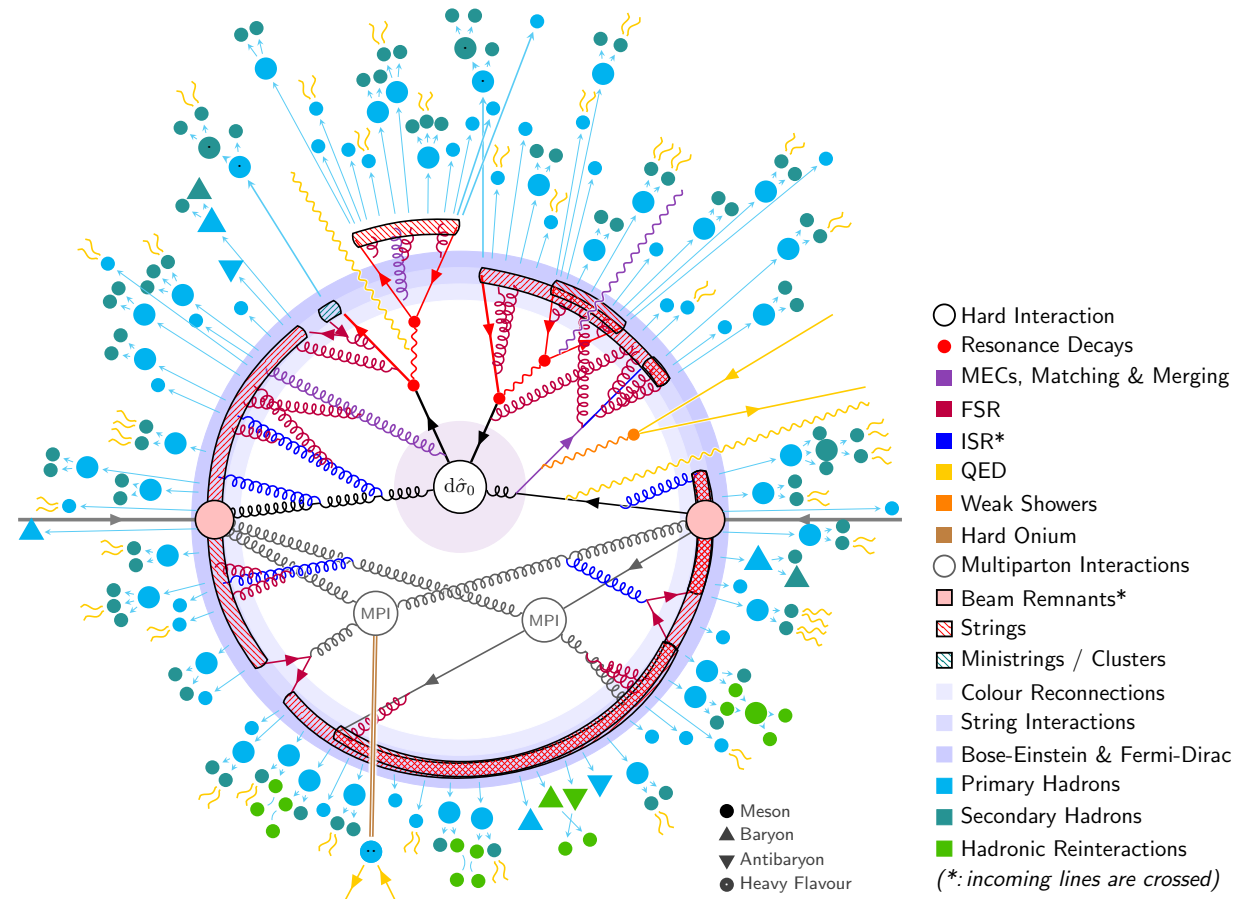
Credit: Frank Siegert

- **underlying event** : any hadronic activity not associated with hard scattering process
- contributions not always calculable in perturbative QCD → phenomenological models in **MC**, which must be tuned to data
- typically modelled with :
  - multiple parton interactions
  - initial and final state radiation
  - colour reconnection (**CR**) with beam remnants

CR refers to the way in which colour fields rearrange themselves after collision

# Measurements of observables sensitive to colour reconnection in $t\bar{t}$ events with the ATLAS detector

[arXiv:2209.07874](https://arxiv.org/abs/2209.07874), accepted by EPJ

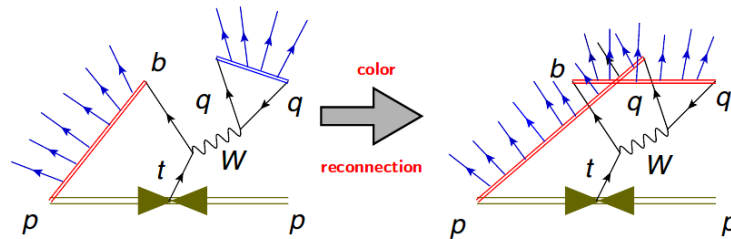


structure of a  $pp \rightarrow t\bar{t}$  event, as modelled by PYTHIA.

# Motivation

- **CR experimentally motivated** → first introduced in MC to describe rise of  $\langle p_T \rangle$  vs  $n_{ch}$
- **CR** intimately connected to **MPI**
- new constraints on **CR** and **MPI**, will provide improved description everywhere
- **specifically in context of top**, modelling of **CR** is a **dominant systematic uncertainty** on top mass determination

Color reconnection affects the reconstruction of the top system



Ambiguity in the definition of the top mass:  $m_{top}^2 \neq (p_b + p_{j1} + p_{j2})^2$

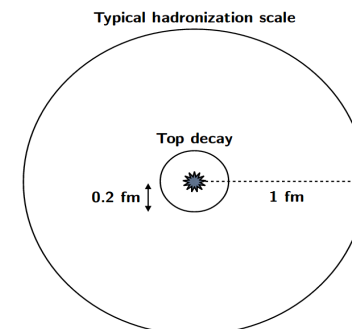
Credit: S Argyropoulos

[JHEP11 \(2014\) 043](#)

- **interesting unresolved question** regarding involvement of top quark versus its decay products in **CR**

	$m_{top}$ [GeV]
Result	172.21
Statistics	0.20
Method	$0.05 \pm 0.04$
Matrix-element matching	$0.40 \pm 0.06$
Parton shower and hadronisation	$0.05 \pm 0.05$
Initial- and final-state QCD radiation	$0.17 \pm 0.02$
Underlying event	$0.02 \pm 0.10$
<b>Colour reconnection</b>	<b><math>0.27 \pm 0.07</math></b>
Parton distribution function	$0.03 \pm 0.00$
Single top modelling	$0.01 \pm 0.01$
Background normalisation	$0.03 \pm 0.02$
Jet energy scale	$0.37 \pm 0.02$
$b$ -jet energy scale	$0.12 \pm 0.02$
Jet energy resolution	$0.13 \pm 0.02$
Jet vertex tagging	$0.01 \pm 0.01$
$b$ -tagging	$0.04 \pm 0.01$
Leptons	$0.11 \pm 0.02$
Pile-up	$0.06 \pm 0.01$
Recoil effect	$0.39 \pm 0.09$
Total systematic uncertainty (without recoil)	$0.67 \pm 0.05$
Total systematic uncertainty (with recoil)	$0.77 \pm 0.06$
Total uncertainty (without recoil)	$0.70 \pm 0.05$
Total uncertainty (with recoil)	$0.80 \pm 0.06$

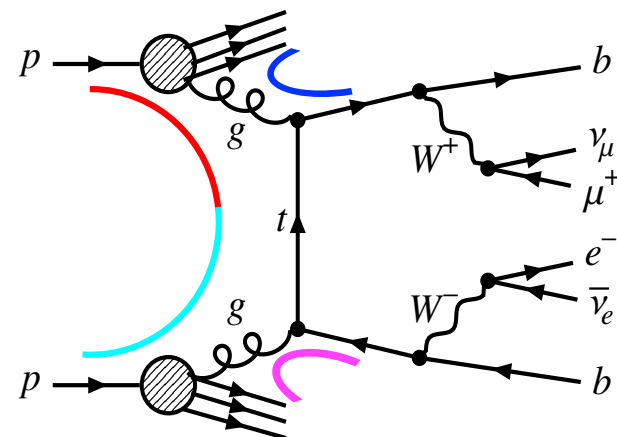
[ATLAS-CONF-2022-058](#)





# ATLAS measurement of top quarks and CR

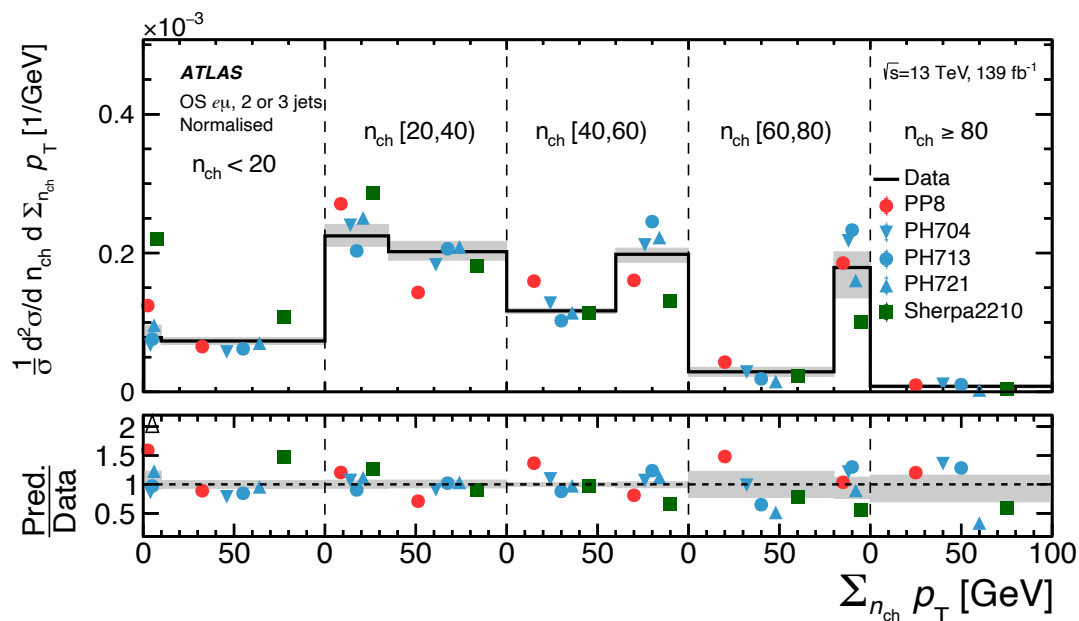
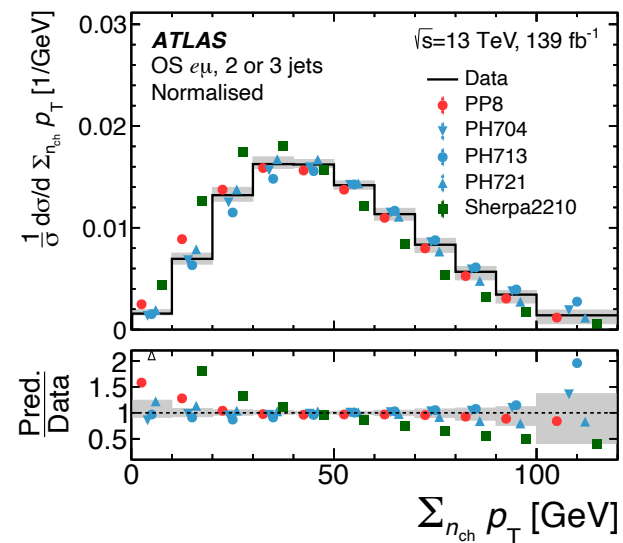
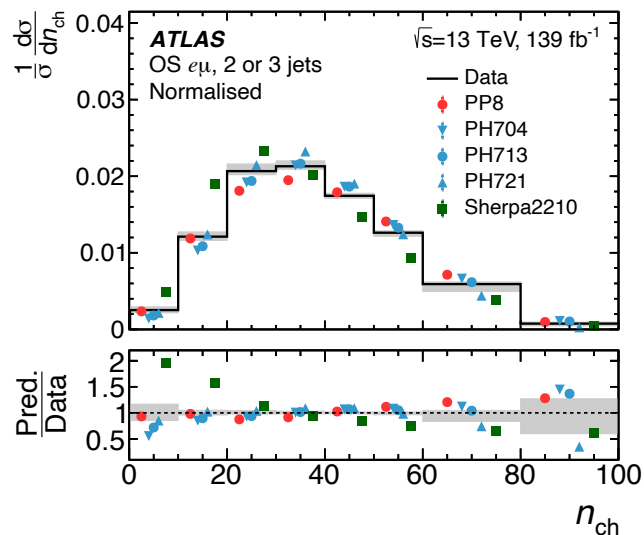
- select  $t\bar{t}$  events in di-leptonic  $e\mu$  channel  
(exactly 1  $e$ , 1  $\mu$  and 2 or 3 jets, 2 of which **b-tagged**)
- measure inclusive<sup>†</sup> charged particle properties:  
<sup>†</sup> excluding leptons or jet tracks,  $p_T > 0.5$  GeV,  $|\eta| < 2.5$ 
  - multiplicity  $n_{ch}$
  - scalar sum of charged particle transverse momentum,  $\sum_{n_{ch}} p_T$
  - $\sum_{n_{ch}} p_T$  in bins of  $n_{ch}$



Credit: Z Citron for ATLAS, MPI@LHC

- pileup and fake-lepton contribution subtracted with MC templates
- **compare MC with unfolded normalised differential cross sections:**
  - **PYTHIA8** : Lund string model for hadronisation – several CR models
  - **HERWIG7** : cluster hadronisation – several CR models
  - many tuneable parameters

# cf. different MC Generators



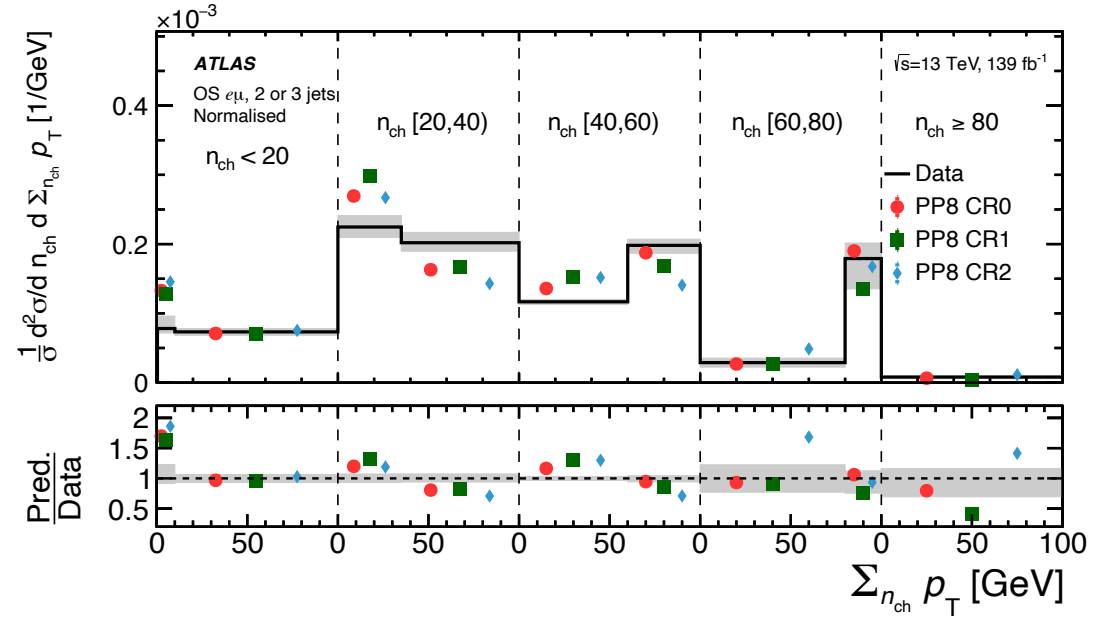
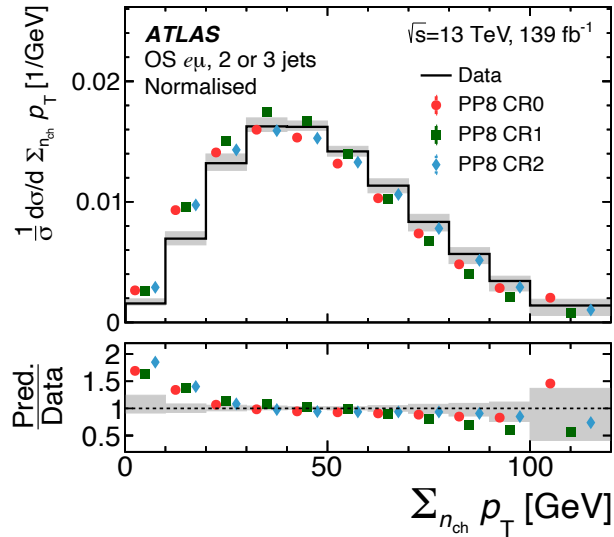
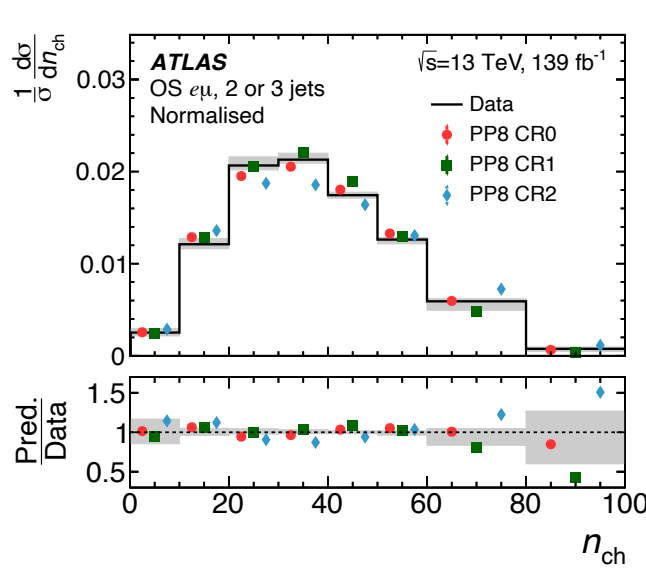
**PYTHIA: A14 tune** (CR based on same model as CR0)

Observable	$n_{ch}$	$\Sigma n_{ch} p_T$	$\Sigma n_{ch} p_T$ in bins of $n_{ch}$
NDF	7	10	8
Generator set-up			
PowHEG+PYTHIA 8.230	62	106	224
CR0	55	113	129
CR1	98	60	158
CR2	58	179	238
PowHEG+HERWIG 7.0.4	39	16	29
PowHEG+HERWIG 7.1.3	53	42	41
PowHEG+HERWIG 7.2.1	78	25	87
PowHEG+HERWIG Baryonic CR	75	20	29
PowHEG+HERWIG Stat CR	23	40	39
SHERPA 2.2.10	77	211	124

**SHERPA: PYTHIA-like MPI model, NO CR**

**HERWIG: MPI/CR tunes from MC authors**

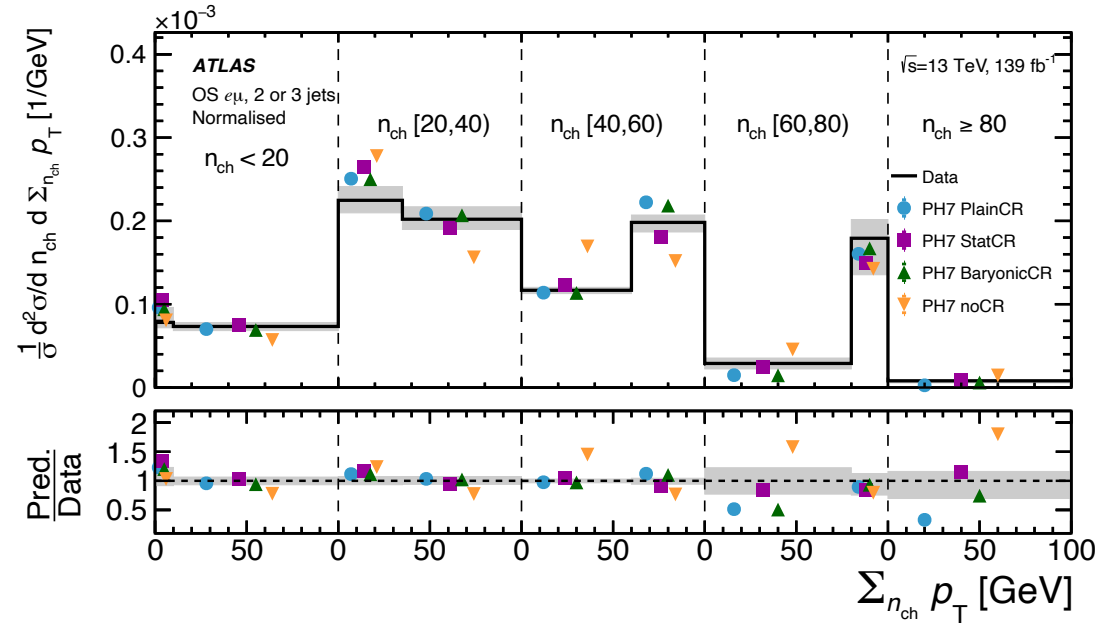
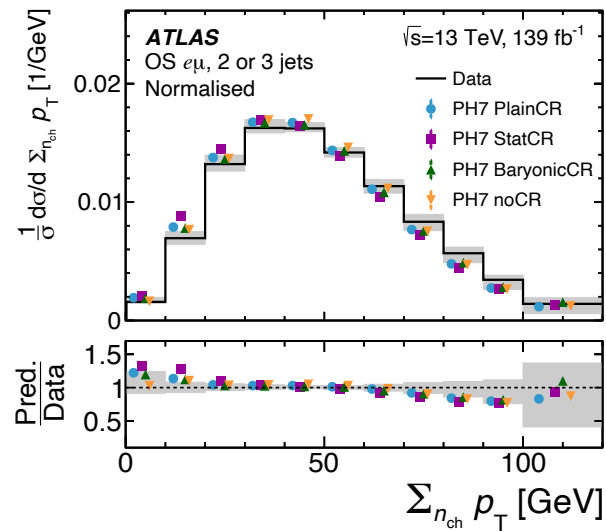
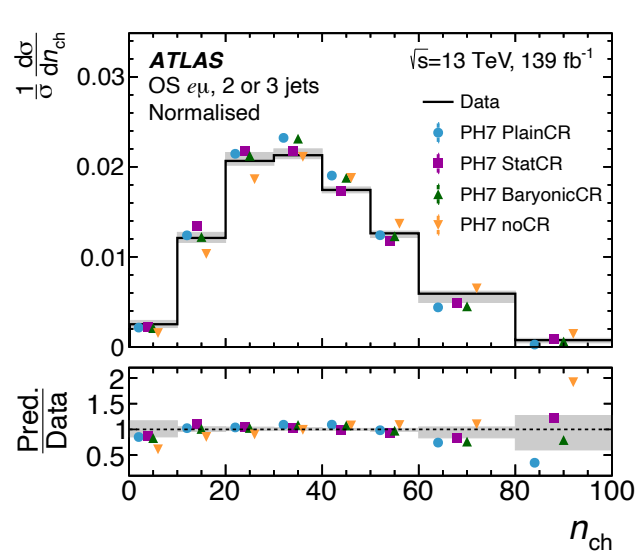
# cf. PYTHIA8 CR Models



- PYTHIA CR models, previously tuned to **ATLAS UE measurements** ( [ATLAS-PHYS-PUB-2017-008](#) )
- 1. **MPI-based (CR0)**, simplest model with only 1 tuneable parameter; default in PYTHIA and in ATLAS
- 2. **QCD-inspired (CR1)**, nominally improved scheme, full QCD colour configuration in beam remnant taken into account
- 3. **Gluon Move (CR2)**, simple model, but with only gluons considered for reconnection

(NB, in all 3 models here, top quark lifetime sufficiently long that only it, and not its decay products, is involved in CR process)

# cf. HERWIG7 CR Models



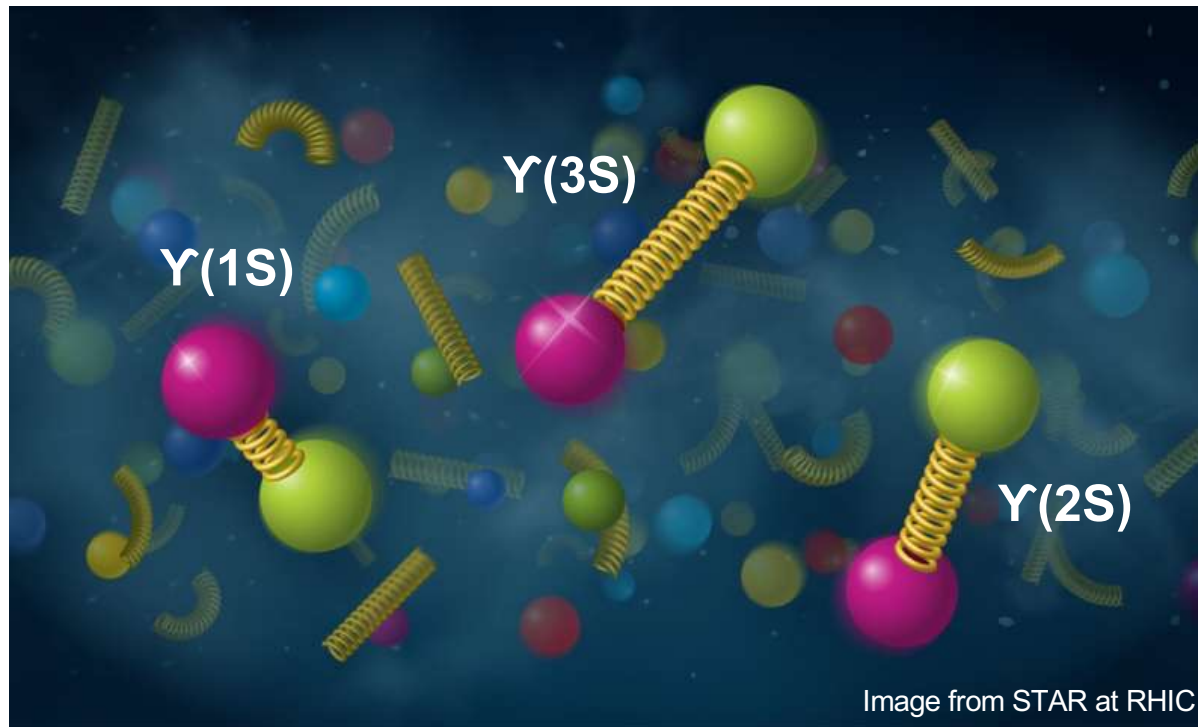
- HERWIG CR models, using tunes from MC authors

- Plain CR**, quarks rearranged between clusters, typically leads to clusters with smaller invariant mass and so less overall UE activity; default used in ATLAS
- Statistical CR**, more sophisticated version, uses Statistical Annealing algorithm to find optimal cluster configuration
- Baryonic CR**, simple geometric picture of nearest neighbour combinations

- overall best description is by the HERWIG CR models, though no panacea

# Correlation of $\Upsilon$ meson production with the underlying event in pp collisions measured by the ATLAS experiment

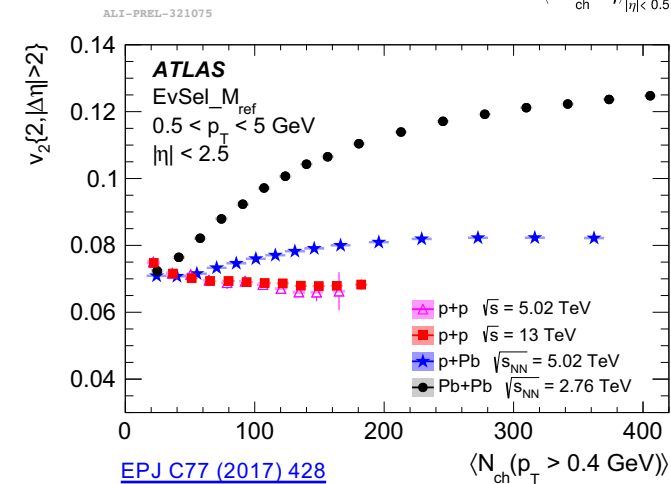
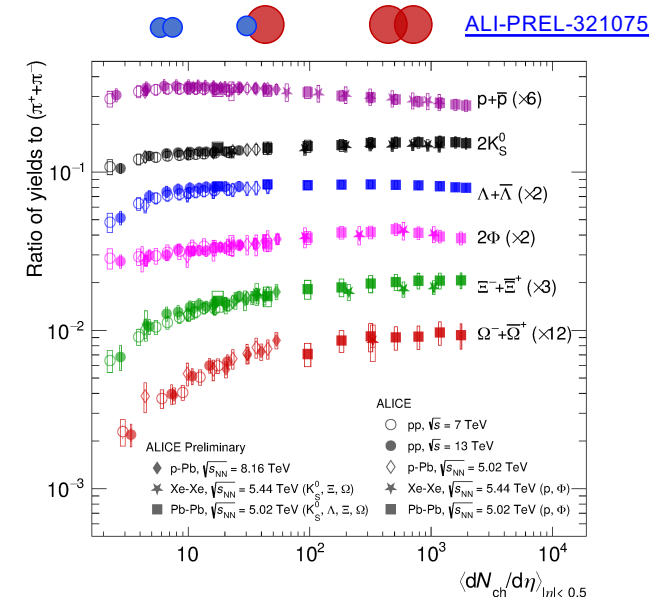
ATLAS-CONF-2022-23





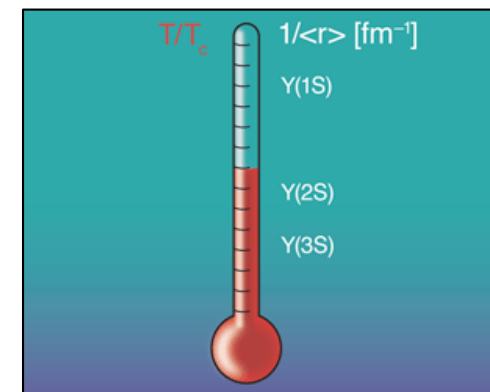
# Motivation

- **Quark Gluon Plasma (QGP)** in **A+A** well established, but smaller collision systems controversial
- → naively do not expect QGP formation in small systems
- → experimental observations of **QGP-like behaviour** in **p+A** and **p+p** calls this into question
- many studies of small systems demonstrating QGP-like phenomena in **soft physics**, EG. **strangeness enhancement**, **multi-particle correlations** in peripheral **A+A**, **p+A**, and also **p+p**
- → **not many studies using hard probes**
- **ATLAS measurement** ([ATLAS-CONF-2022-23](#))
- study correlations between **upsilon meson ( $\Upsilon$ )** production and **inclusive charged particles** to bridge **soft-hard gap**



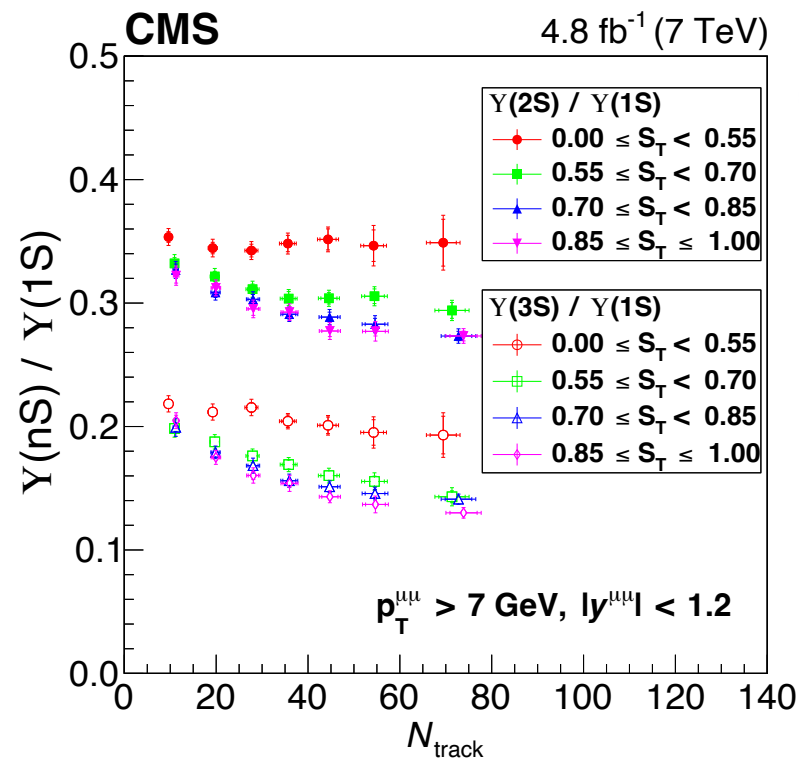
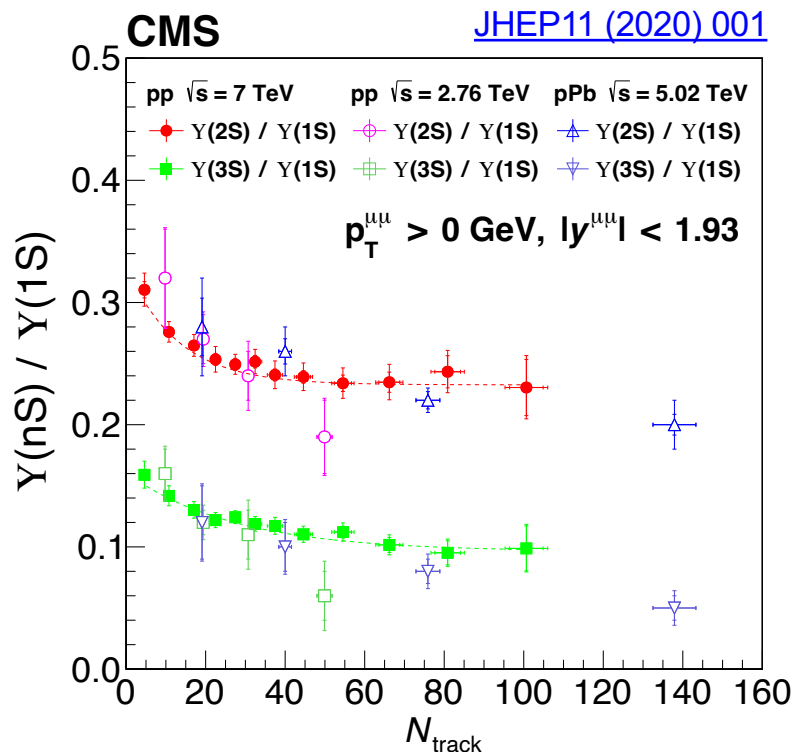
# Why $\Upsilon$ mesons ?

- HI perspective: heavy quarkonia produced early in collision  $\rightarrow$  experience full evolution
- measuring  $\Upsilon(nS)$  state suppression can be a thermometer for a QGP :
- 3 distinct  $\Upsilon$  ( $b\bar{b}$ ) states:  $\Upsilon(1S)$   $\Upsilon(2S)$   $\Upsilon(3S)$
- **sequentially “dissolve”** or dissociate when potential between constituent quarks screened by colour charges of  $q$ ,  $g$  in QGP
- $\rightarrow$  the more loosely bound the state, the more easily it dissolves:  $\Upsilon(3S)$  is more suppressed than  $\Upsilon(2S)$  is more suppressed than  $\Upsilon(1S)$
- $\Upsilon$  less affected by recombination effects than  $c\bar{c}$  states, given small probability for  $b$  quarks
- $\rightarrow$   **$\Upsilon$  ideal probe to study QGP**



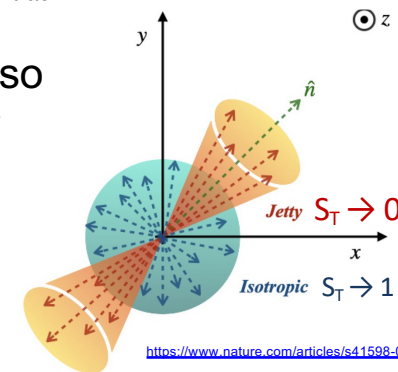
Adapted from [EPJ C61 \(2009\) 705](#)

# CMS measurements of $\Upsilon(nS)$ and multiplicity



- CMS results from 2014 ([JHEP04 \(2014\) 103](#)) and confirmed with more detail in 2020:
- $\Upsilon(nS)/\Upsilon(1S)$  ratio decreases as a function of charged particle multiplicity

- ... measured also as a function of event topology (**sphericity**)



- $\rightarrow$  suggests effect correlated with UE and not jets

# ATLAS approach to study $\Upsilon(nS)$ correlation with UE

- **ATLAS** analysis is an “inversion” of CMS approach:
- instead of measuring “conventional” variables such as  $\Upsilon(nS)$  yields vs  $n_{ch}$ , **ATLAS measures  $n_{ch}$  for different  $\Upsilon(nS)$**

- ATLAS full Run-2  $\sqrt{s}=13$  TeV pp dataset

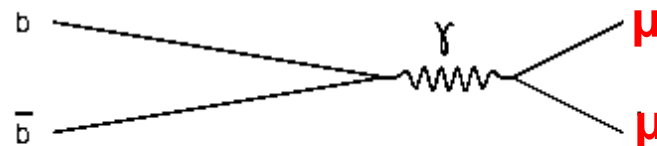
- $\Upsilon(nS) \rightarrow \mu\mu$  events with:

- $8.2 \leq m^{\mu\mu} < 11.8$  GeV
- $|y^{\mu\mu}| < 1.6$

- charged particle tracks

- not directly involved in formation of  $\Upsilon$

- $0.5 < p_T < 10$  GeV
- $|\eta| < 2.5$

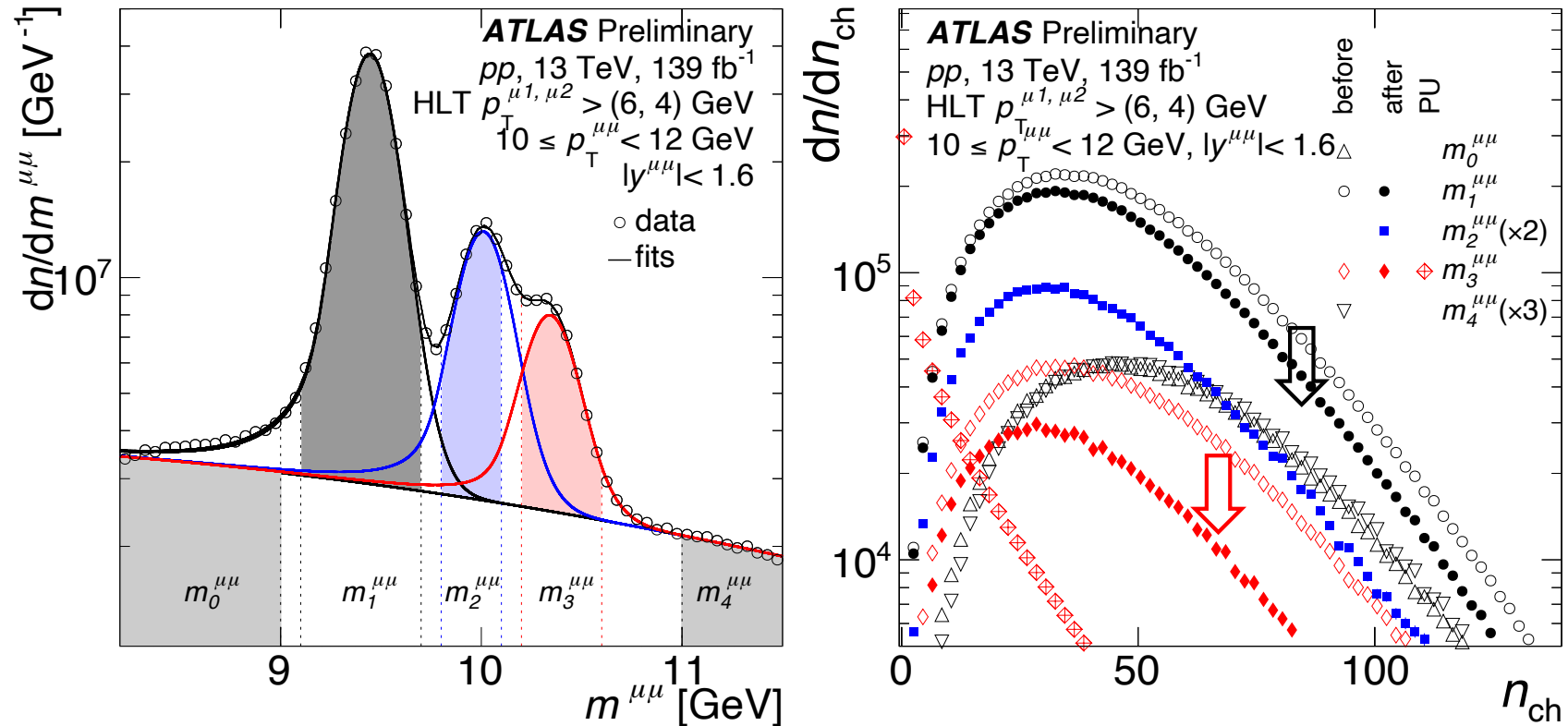


- search for modification of **underlying event (soft)** for **different  $\Upsilon$  states (hard)** in **pp** events – measure:

- multiplicity  **$n_{ch}$**
- kinematic distributions:  $d n_{ch} / d p_T$  and  $d n_{ch} / d \Delta\phi$ , where  $\Delta\phi = \phi^\Upsilon - \phi^h$

- analysis performed in  $p_T^{\mu\mu}$  intervals and **observables corrected for pileup**

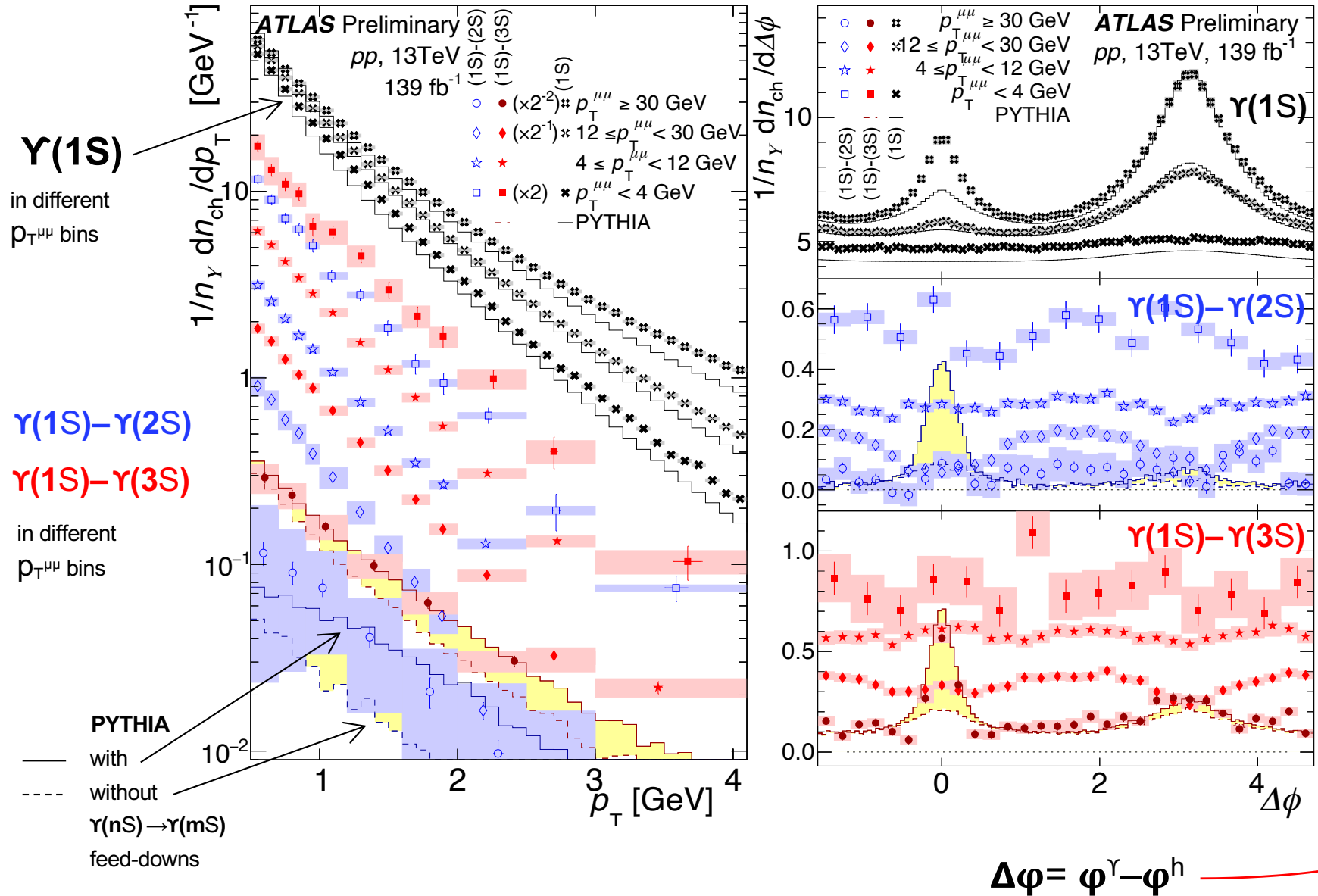
# ATLAS measurement of $\Upsilon(nS)$ and underlying event



- well controlled background –  $\Upsilon$  candidates in 5 mass regions → signal+BG fits and sideband subtraction
- pileup corrected on a statistical basis using event mixing technique, developed for [EPJC 80 \(2020\) 64](#) (illustrated here with  $n_{ch}$ , but works also for  $dn_{ch}/dp_T$  and  $dn_{ch}/d\Delta\phi$ )

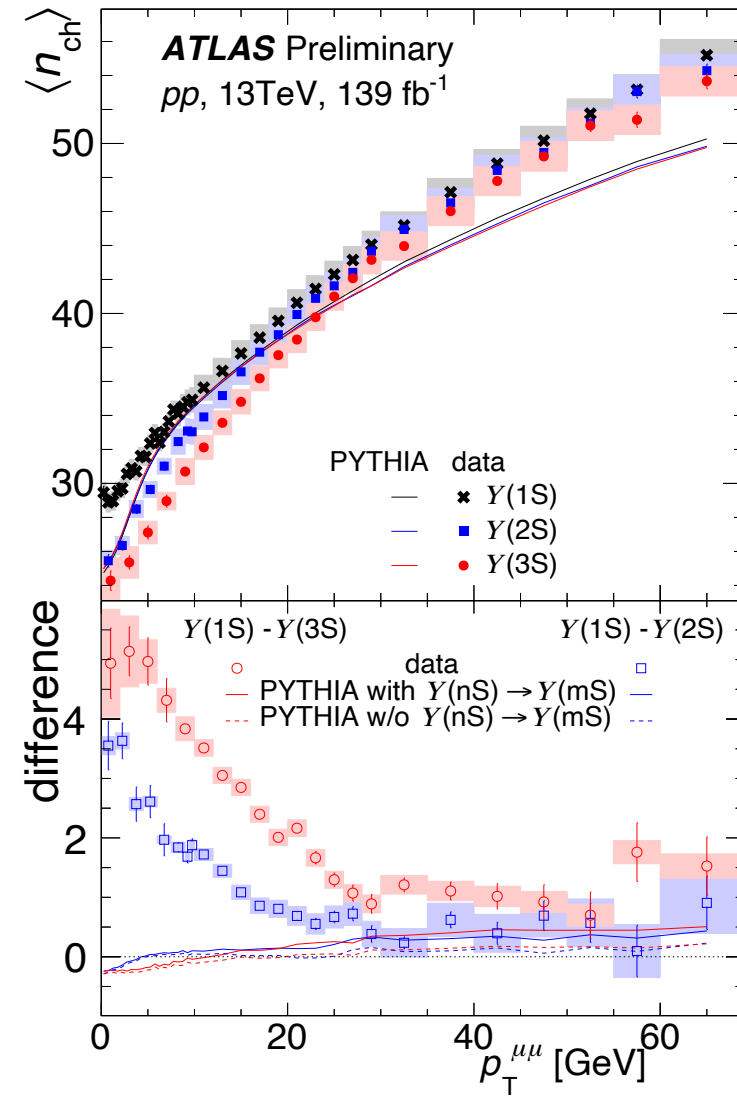


# Kinematic distributions of $\Upsilon(1S) - \Upsilon(nS)$



# Mean values of $n_{ch}$ distribution

- significant differences observed for different  $\Upsilon(nS)$  states
- PYTHIA mismodels  $\Upsilon$  production no  $\langle n_{ch} \rangle$  dependence of different states
- effect largest at  $p_T^{\mu\mu} = 0$  :
- $\Upsilon(1S) - \Upsilon(2S) \Delta\langle n_{ch} \rangle = 3.6 \pm 0.4$
- $\Upsilon(1S) - \Upsilon(3S) \Delta\langle n_{ch} \rangle = 4.9 \pm 0.4$
- observations cannot be explained by mass differences, feed-down of states, or systematic uncertainties



# summary

**Observables sensitive to CR in  $t\bar{t}$  events** ( [arXiv:2209.07874](https://arxiv.org/abs/2209.07874) ):

ATLAS measurement of CR sensitive observables in top quark events gives detailed handle on CR and MPI

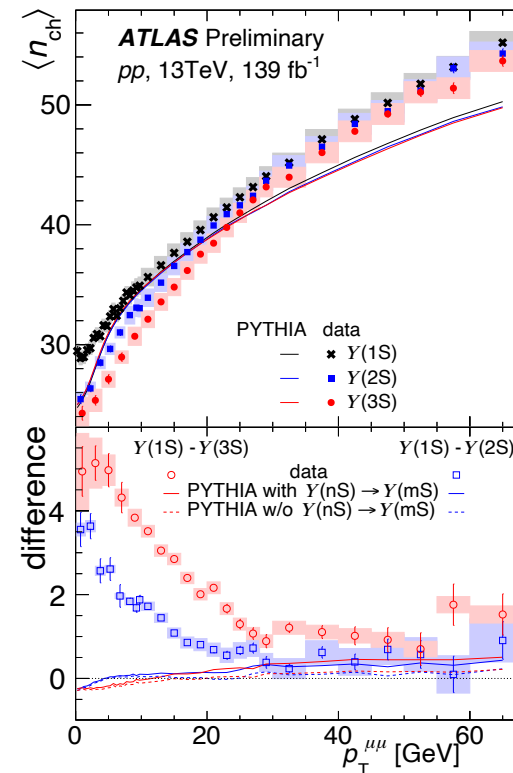
**Correlation of  $Y$  meson production with the underlying event**  
( [ATLAS-CONF-2022-23](https://arxiv.org/abs/2209.07874) ):

significant differences in charged particle multiplicity observed

- $Y(1S)$ :  $\langle n_{\text{ch}} \rangle = 29.5 \pm 0.7$
- $Y(2S)$ : 12% less
- $Y(3S)$ : 17% less

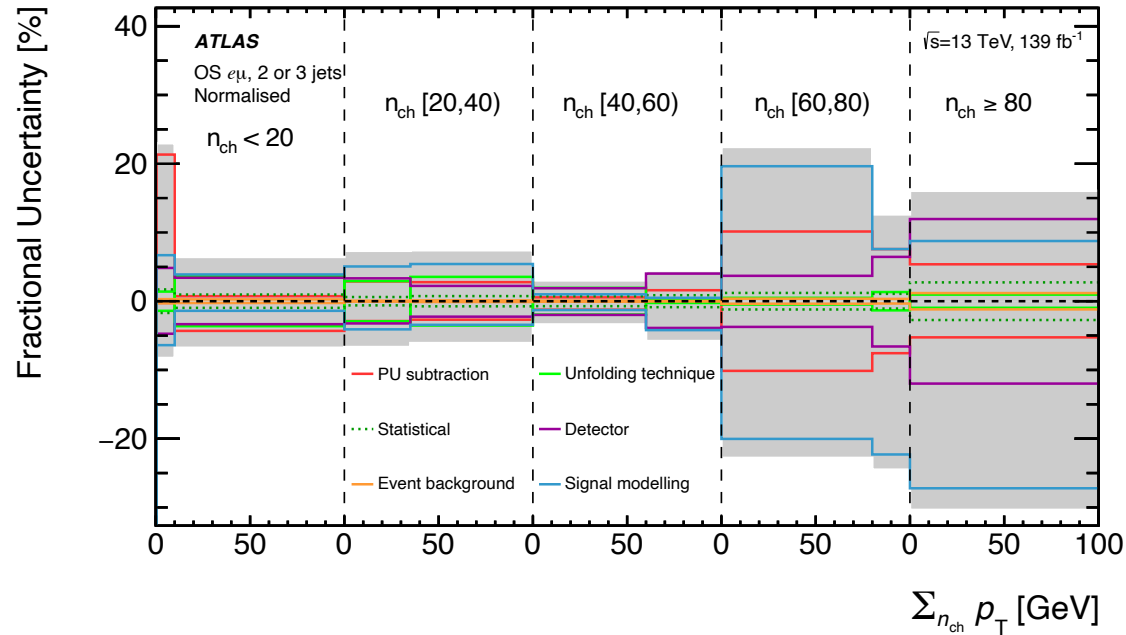
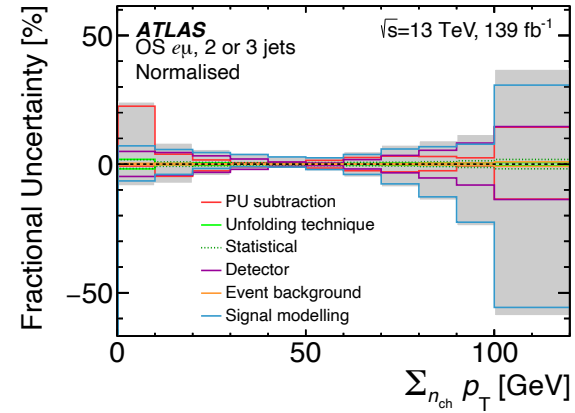
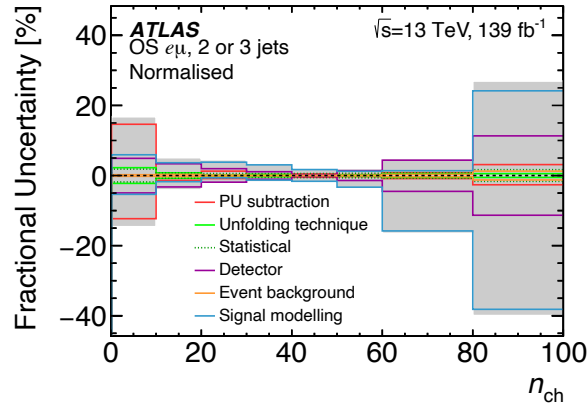
can be interpreted as suppression of excited states at higher multiplicity

→ something interesting going on in pp that must be further explored



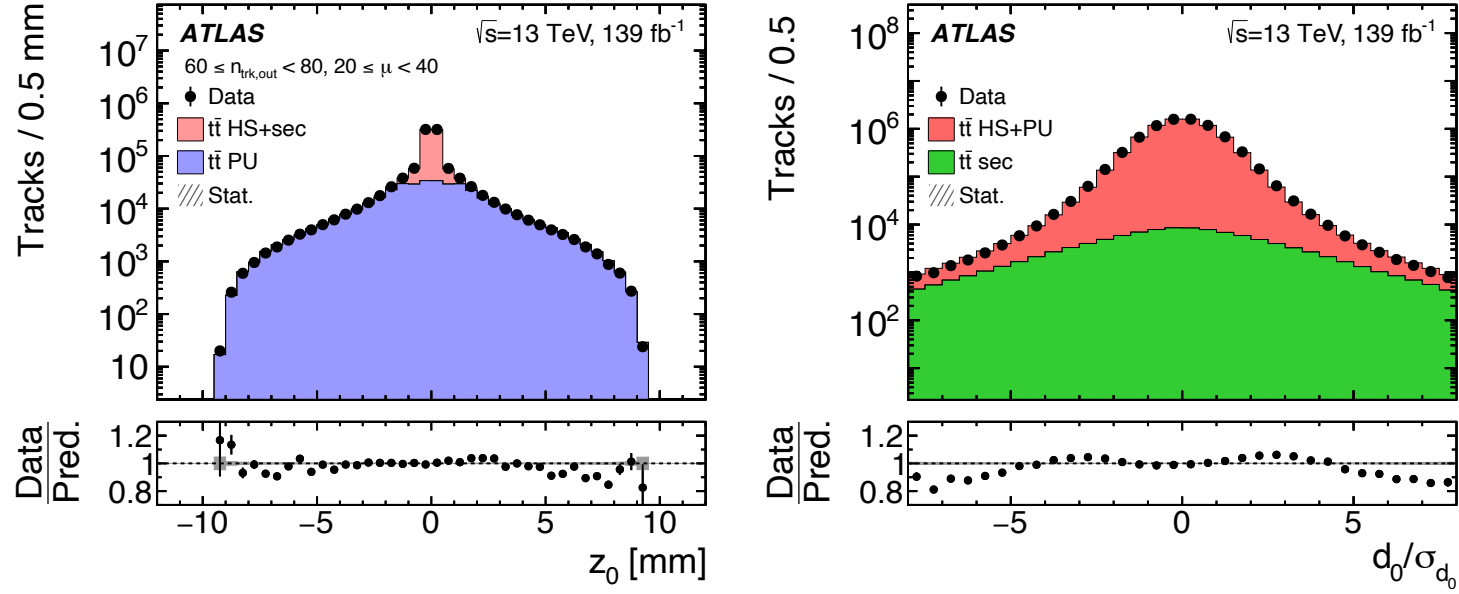
**extras**

# ATLAS measurement of top quarks and CR





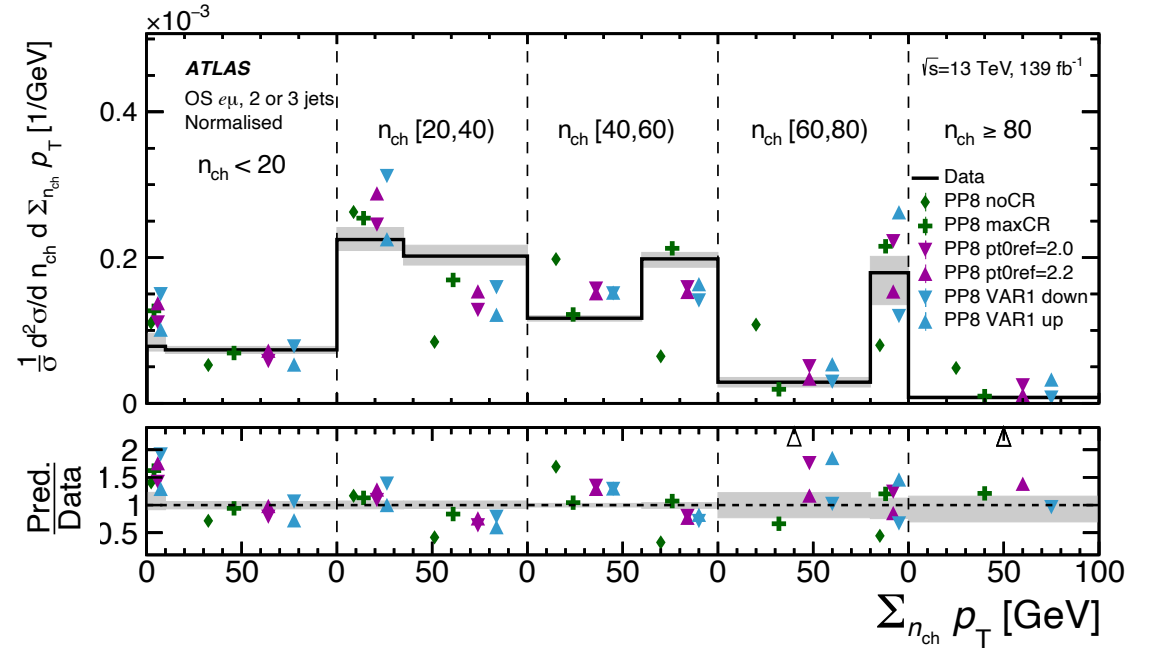
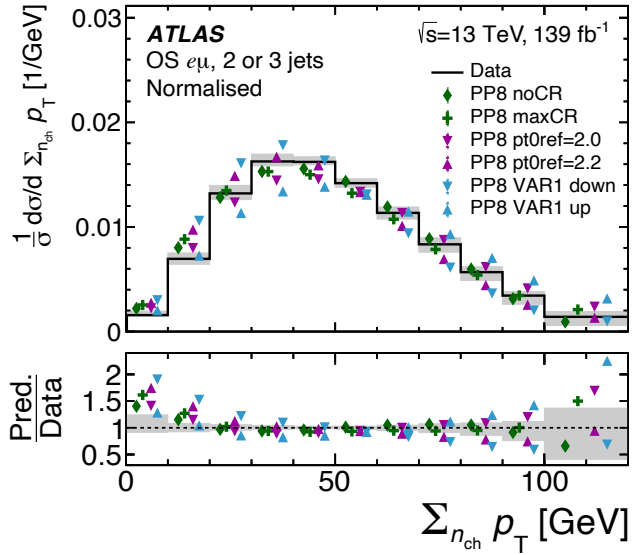
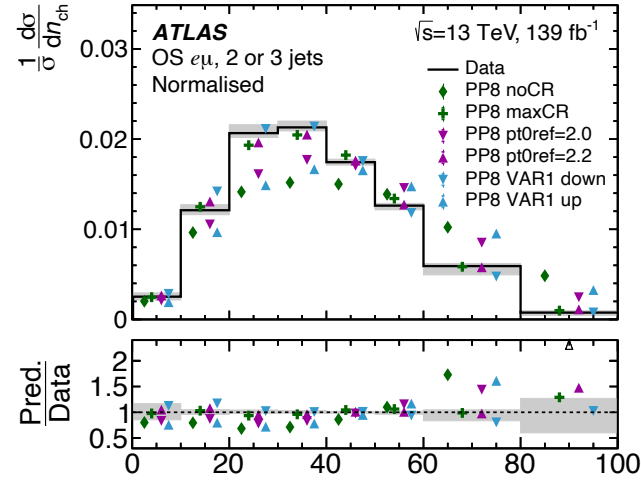
# Track-based BG



pileup scale factors  $c_{\text{PU}}$

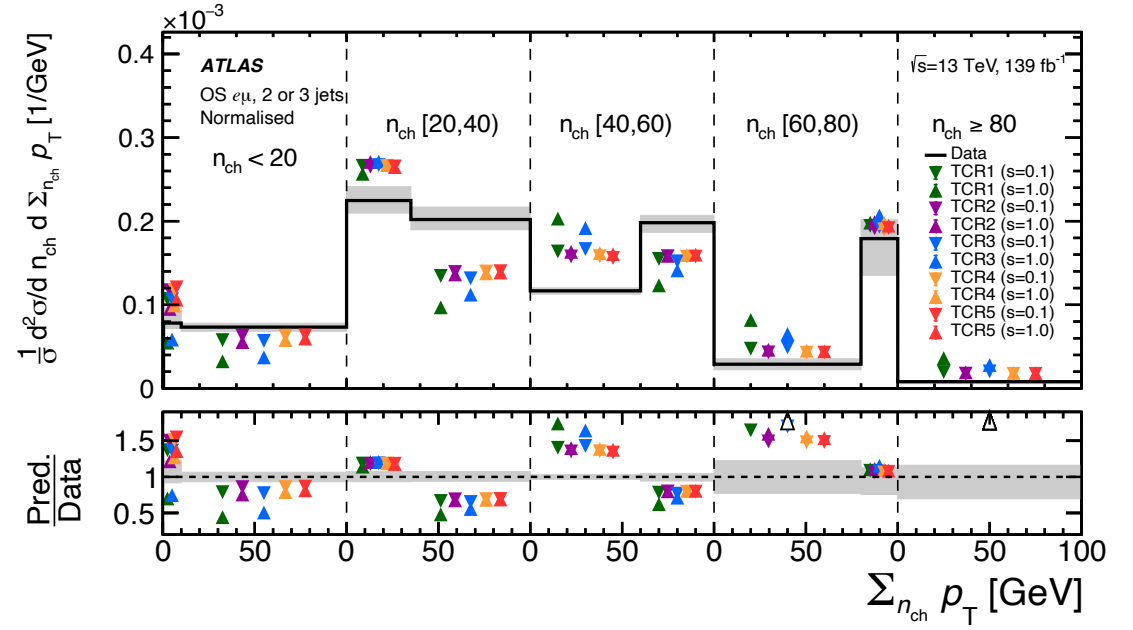
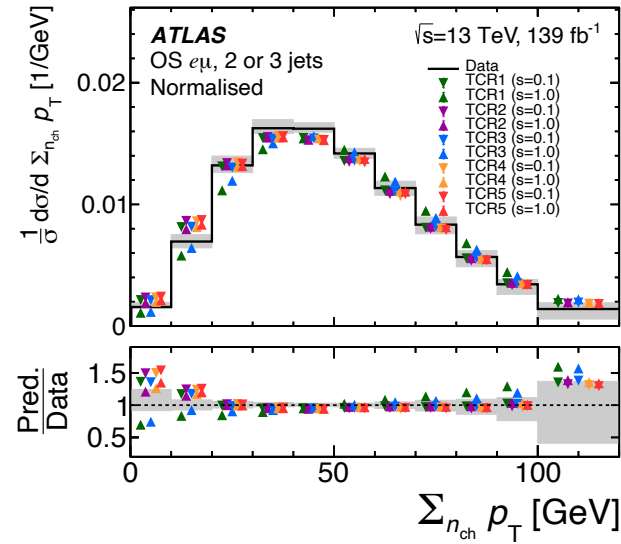
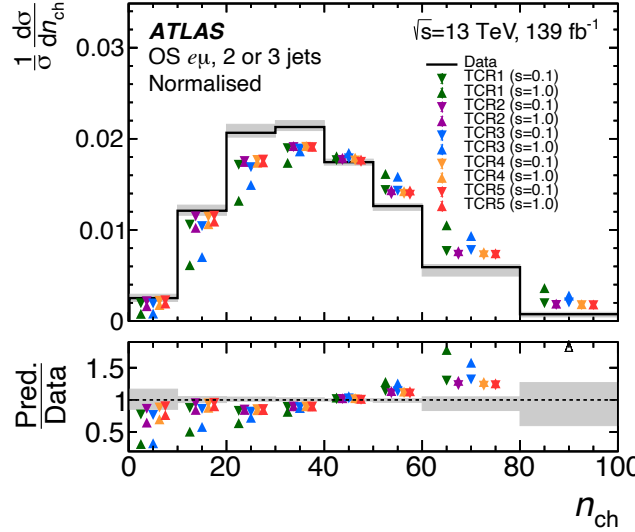
Region	$n_{\text{trk,out}} < 20$	$20 \leq n_{\text{trk,out}} < 40$	$40 \leq n_{\text{trk,out}} < 60$	$60 \leq n_{\text{trk,out}} < 80$	$80 \leq n_{\text{trk,out}} \leq 100$
$\mu < 20$	0.91	1.04	0.97	1.05	1.08
$20 \leq \mu < 40$	0.91	1.08	1.08	1.07	1.11
$\mu \geq 40$	0.95	1.15	1.23	1.27	1.36

# cf. PYTHIA8 – parameter variations



- CR range parameter  $R_{rec}$  is set to its maximal value of  $R_{rec} = 10$ , such that the reconnection probability reaches saturation (maxCR). The default is 1.71.
- CR is switched off, i.e.  $R_{rec} = 0$  (noCR).
- MPI parameter  $p_{T0}^{ref}$ , by default set to 2.09, is lowered to 2.0 and raised to 2.2.
- UE activity is varied by using the Var1 eigentune of the A14 tune [21]. This eigentune includes variations of  $\alpha_s$  and variations of  $R_{rec}$ .

# cf. PYTHIA8 – top quark specific CR Models

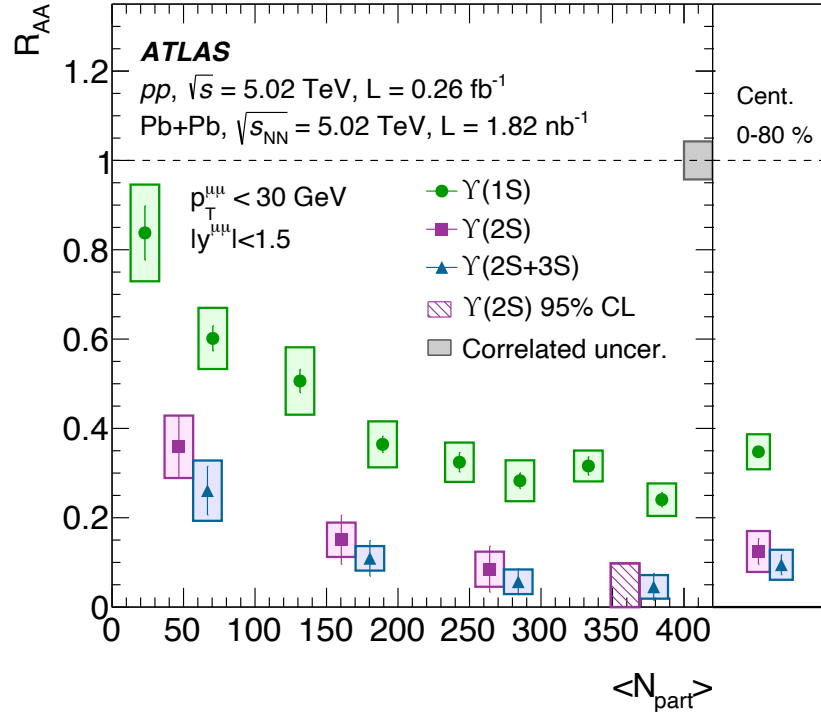


- CR models designed to affect top-quark decay products also considered (further details in: [JHEP11 \(2014\) 043](https://arxiv.org/abs/1406.0075))

- Forced random (TCR1)**  
A gluon from  $\{g_t\}$  is forced to exchange colours with a random gluon from the other set,  $\{g_r\}$ .
- Forced nearest (TCR2)**  
A gluon from  $\{g_t\}$  is forced to exchange colours with the gluon from  $\{g_r\}$  that minimises  $m^2(g_t, g_r)$ .
- Forced farthest (TCR3)**  
A gluon from  $\{g_t\}$  is forced to exchange colours with the gluon from  $\{g_r\}$  that maximises  $m^2(g_t, g_r)$ .
- Forced smallest  $\Delta\lambda$  (TCR4)**  
A gluon from  $\{g_t\}$  is forced to exchange colours with the gluon from  $\{g_r\}$  for which the change in  $\lambda$  (available rapidity range of particle production) is smallest.
- Smallest  $\Delta\lambda$  (TCR5)**  
This is the same as the previous model, except that gluons exchange colours only if  $\Delta\lambda < 0$ .

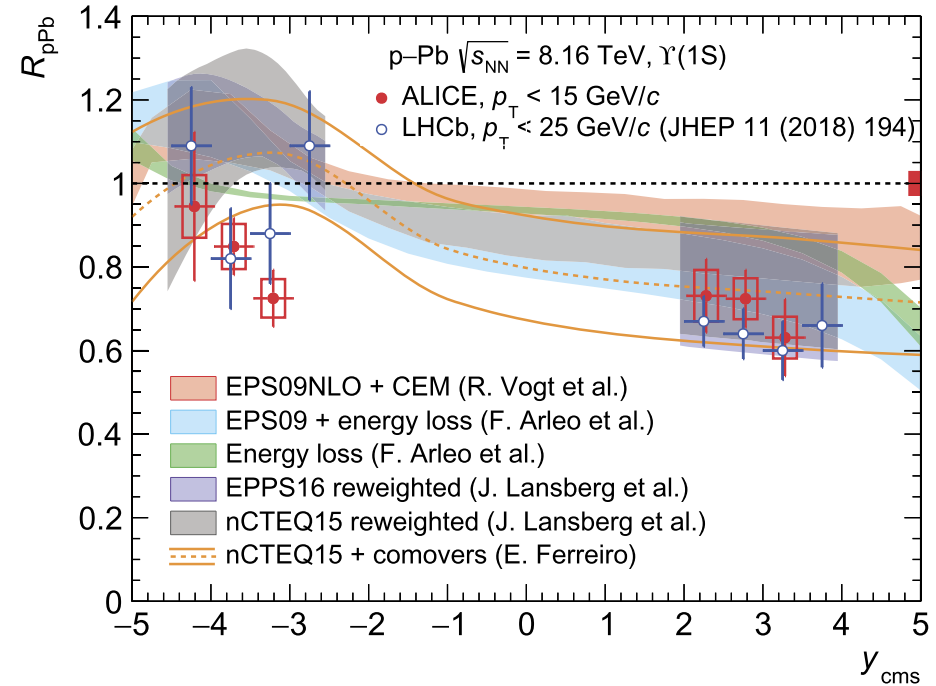
# what is known about $\Upsilon$ production and collectivity at the LHC?

arXiv:2205.03042



$$R_{AA} = \frac{N_{Y;AA}}{\langle T_{AA} \rangle \times \sigma^{pp \rightarrow Y}} \quad T_{AA} \text{ is the nuclear overlap function}$$

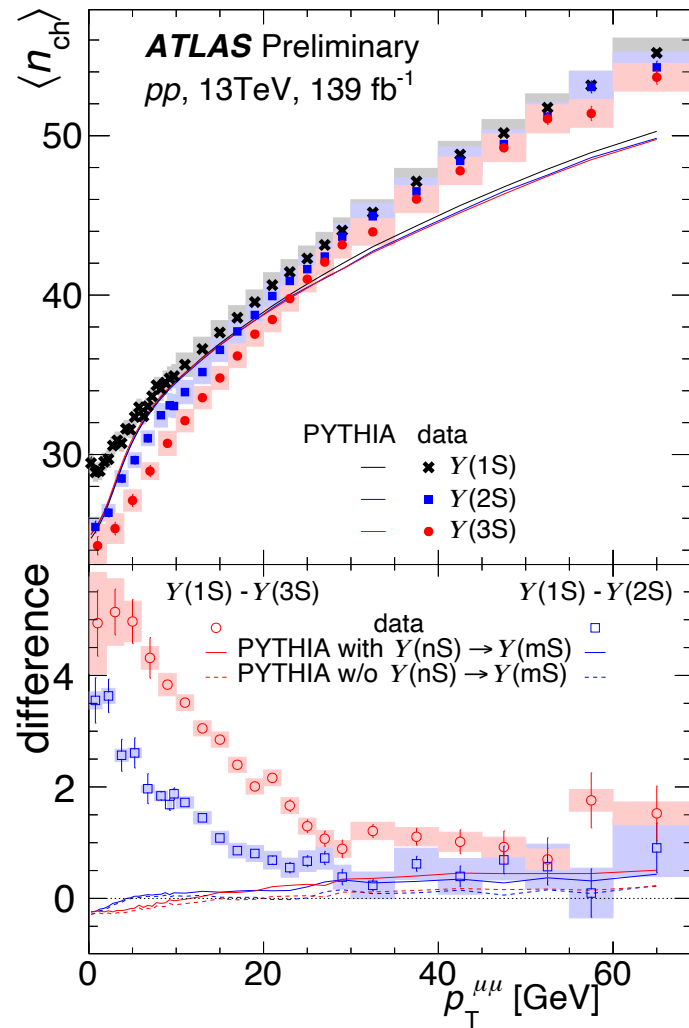
PLB 806 (2020) 135486



$$R_{pA} = \frac{\sigma^{pA \rightarrow Y}}{A \times \sigma^{pp \rightarrow Y}}$$

- $R_{AA}$ : nuclear modification factor compares **AA** to **pp**
- **pA** could give sense of influence of cold nuclear effects

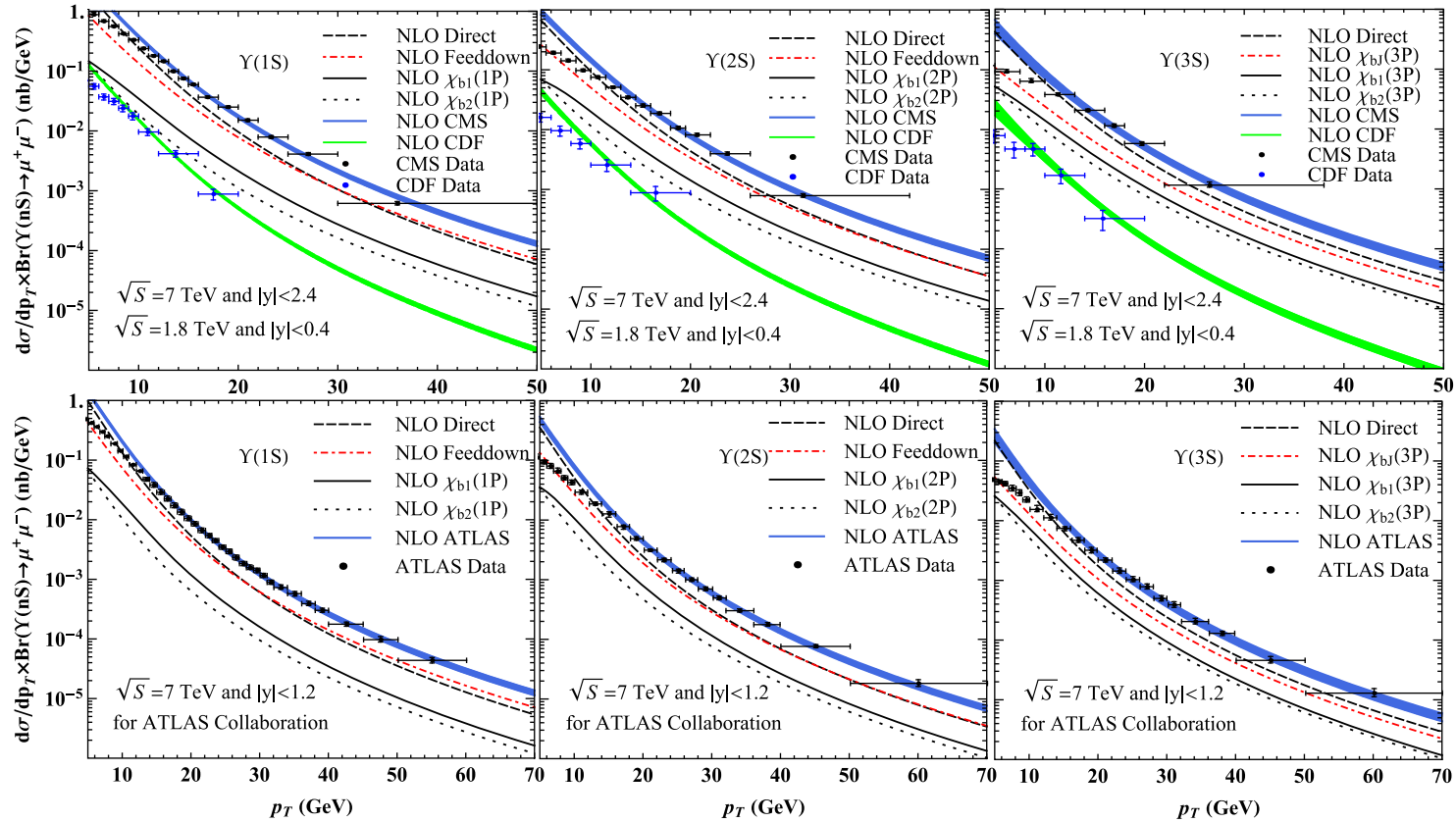
# naïve question



- could the observations correspond to an **enhancement** of  $n_{ch}$  for the  $Y(1S)$  ground state, rather than a **suppression** for the excited states?
- inclusive pp :  $\langle n_{ch} \rangle \approx 14$
- Drell-Yan  $40 \text{ GeV} < m \leq m_Z$   $\langle n_{ch} \rangle = 24 - 28$
- Jets with leading particles  $\langle n_{ch} \rangle \approx 27$   
 $m < \frac{1}{2} m_Y$ 
  - [PLB 758 \(2016\) 67](#)
  - [EPJC 79 \(2019\) 666](#)
  - [JHEP 07 \(2018\) 032](#)
  - [JHEP 03 \(2017\) 157](#)
- $Y(1S)$  appears consistent with these numbers, while  $Y(2S)$ ,  $Y(3S)$  lower, **i.e. suppression of excited states**



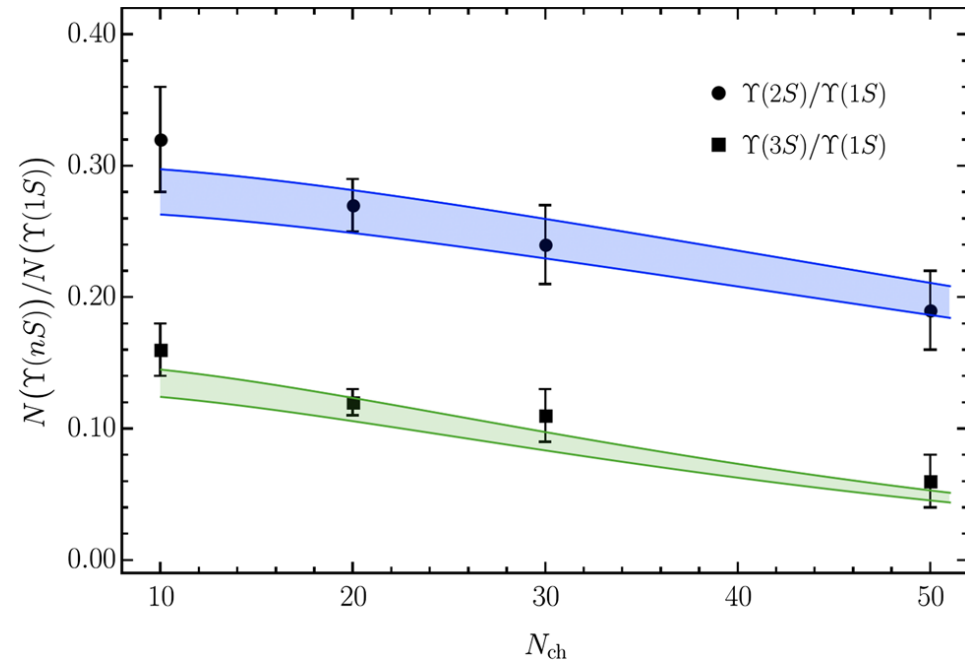
# QCD cross section calculations



- calculations show discrepancies with data, largest for higher  $Y(nS)$  and lower  $p_T$

# Co-mover Interaction Model (CIM)

- **CIM**: quarkonia are broken by collisions with co-movers, i.e. final state particles with similar rapidities
- **CIM** typically used to explain **p+A** and **A+A** systems – matches CMS  **$\Upsilon$**  data



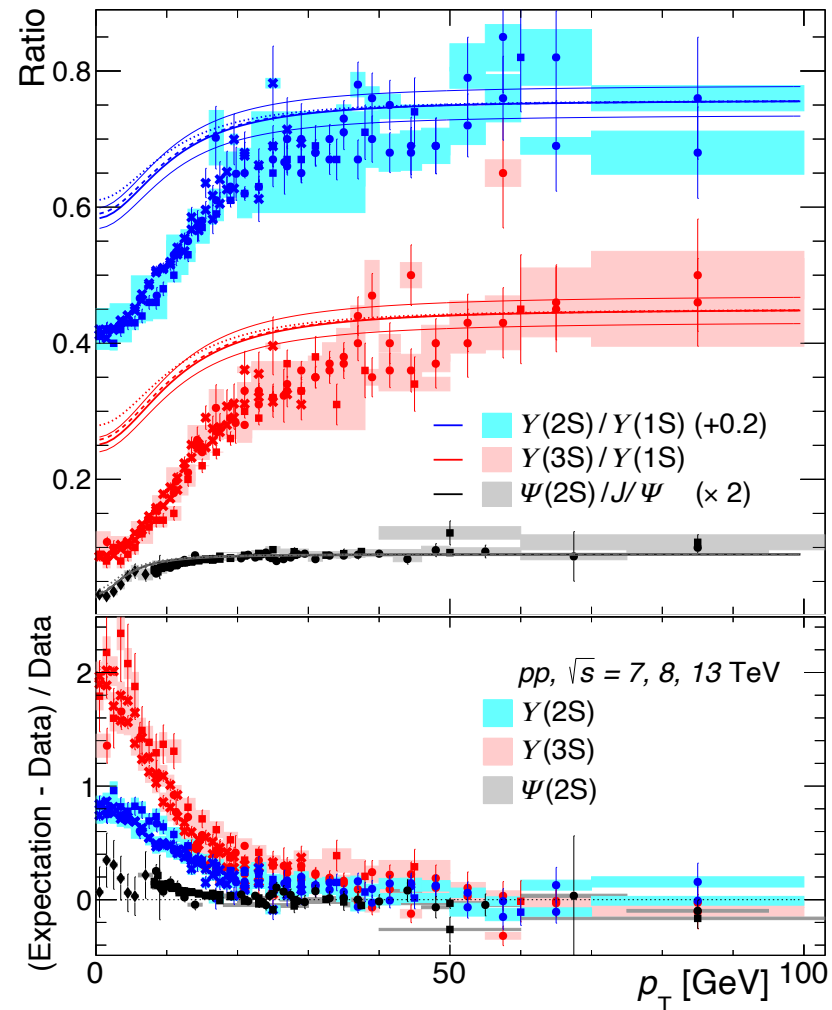
- **CIM** can be tested on new pp measurements to test if it can reproduce  **$\Upsilon(nS)$ – $\Upsilon(1S)$**
- cross sections
- multiplicity  **$n_{ch}$**
- kinematic distributions  **$p_T$ ,  $\Delta\phi$ ,  $\Delta\eta$**

# Quarkonia ratios expected from mT-scaling

- **mT-scaling** allows one to define an expectation for the excited states relative to the ground states

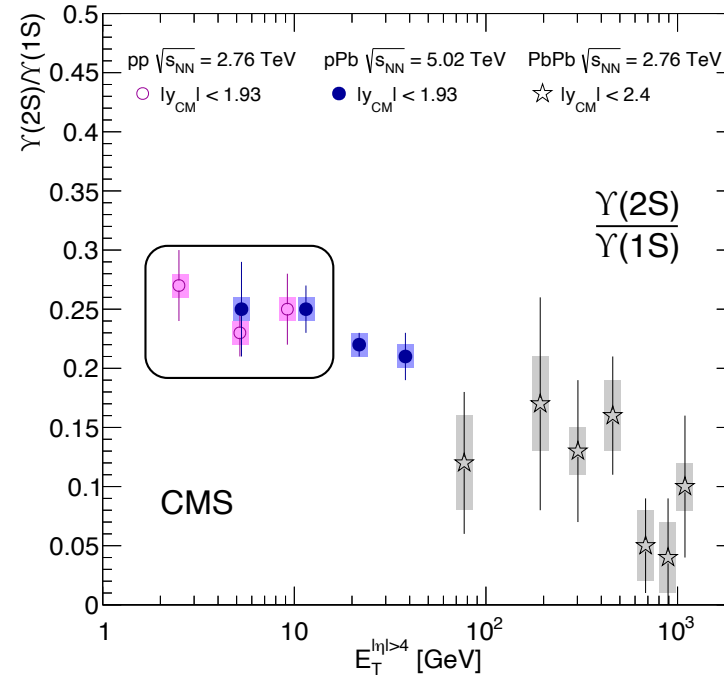
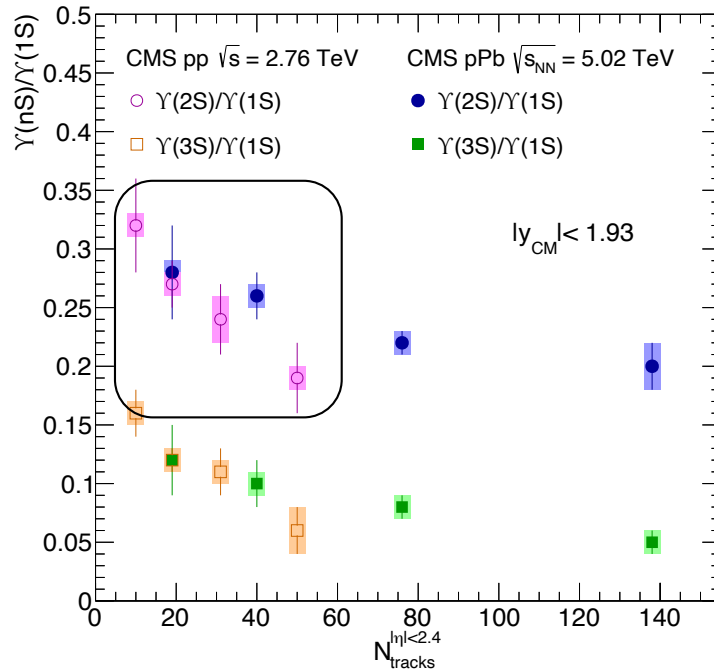
$$\frac{d^2\sigma}{dydm_T} \propto \left(1 + \frac{m_T}{nT}\right)^{-n}$$

- works well for light mesons at the LHC
- application to **Y** meson cross sections shows missing excited states at low p<sub>T</sub>
- **Y(2S)** : missing factor of **1.6**
- **Y(3S)** : factor of **2.4**



# is there rapidity dependence?

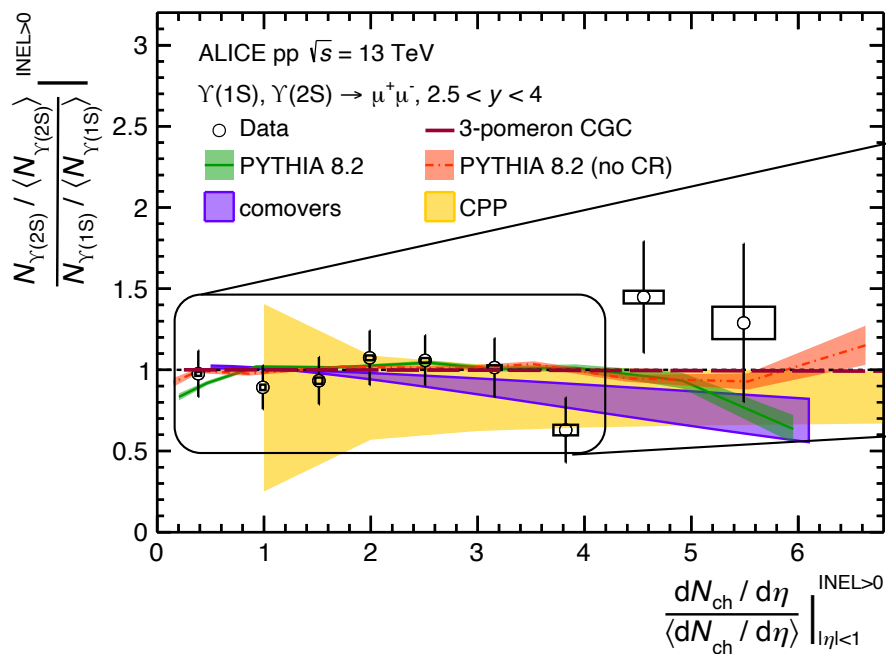
JHEP04 (2014) 103



- CMS : dependence flattened when forward-midrapidity gap introduced
- (as noted in HP2018 summary: <https://indico.cern.ch/event/634426/contributions/3003672/> )
- could be due to loss of resolution ... ?

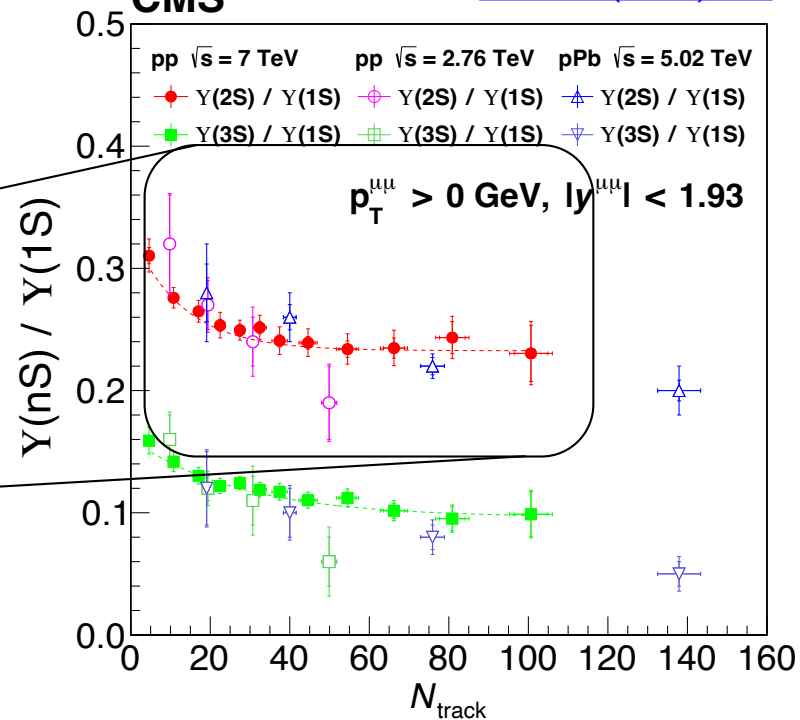
# is there rapidity dependence?

[arXiv:2209.04241](https://arxiv.org/abs/2209.04241)



# CMS

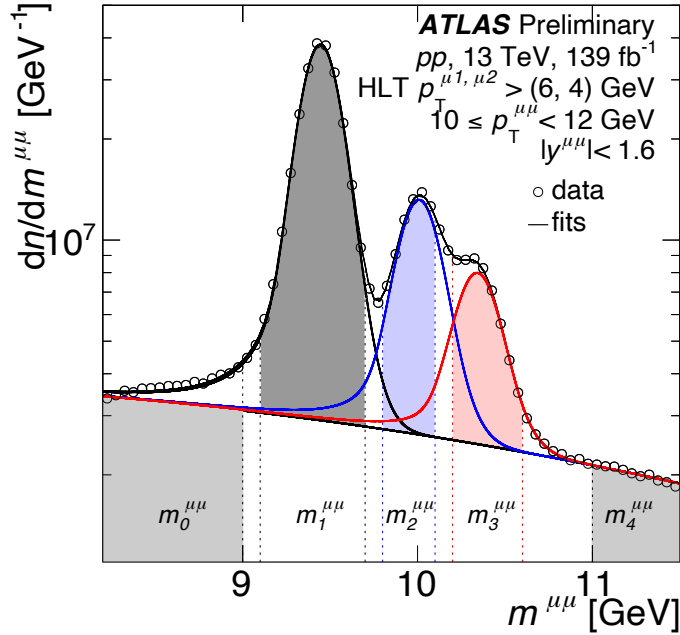
JHEP11 (2020) 001



- ALICE : forward  $\Upsilon(2S)/\Upsilon(1S)$  vs tracks at midrapidity
- measurements do not clearly indicate rapidity dependence

→  $\Delta\eta$  analysis should provide direct answer

# $\Upsilon(nS)$ and UE correlations – BG fit details



$$\text{fit}(m) = \sum_{nS} N_{\Upsilon(nS)} F_n(m) + N_{\text{bkg}} F_{\text{bkg}}(m)$$

$$F_n(m) = (1 - \omega_n) C B_n(m) + \omega_n G_n(m) \quad \begin{array}{l} \text{Crystal Ball +} \\ \text{Gaussian} \end{array}$$

$$F_{\text{bkg}}(m) = \sum_{i=0}^3 a_i (m - m_0)^i; a_0 = 1 \quad \text{Polynomial}$$

$$\begin{pmatrix} P(m_0^{\mu\mu}) \\ P(m_1^{\mu\mu}) \\ P(m_2^{\mu\mu}) \\ P(m_3^{\mu\mu}) \\ P(m_4^{\mu\mu}) \end{pmatrix} = \begin{pmatrix} 1 - f_{01} & f_{01} & 0 & 0 & 0 \\ k_1(1 - s_1) & s_1 & 0 & 0 & (1 - k_1)(1 - s_1) \\ k_2(1 - s_2 - f_{21} - f_{23}) & f_{21} & s_2 & f_{23} & (1 - k_2)(1 - s_2 - f_{21} - f_{23}) \\ k_3(1 - s_3 - f_{32}) & 0 & f_{32} & s_3 & (1 - k_3)(1 - s_3 - f_{32}) \\ 0 & 0 & 0 & 0 & 1 \end{pmatrix} \begin{pmatrix} P_0 \\ P(\Upsilon(1S)) \\ P(\Upsilon(2S)) \\ P(\Upsilon(3S)) \\ P_4 \end{pmatrix}$$

$P(m_n^{\mu\mu})$  : measured distribution  
in mass interval  $m_n^{\mu\mu}$

- invert matrix to determine contributions coming from  $\Upsilon(nS)$  and from **BG** in the low (0) and high mass (4) BG intervals

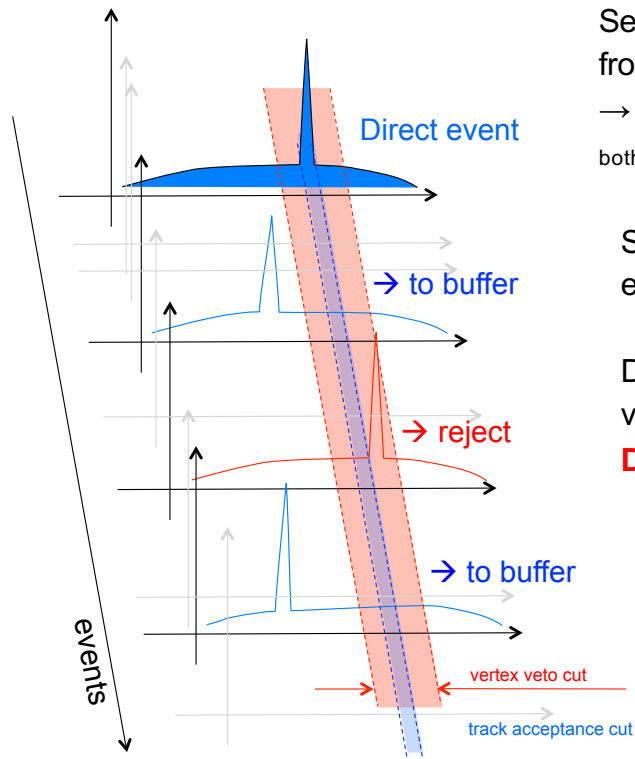
$$s_n = \frac{\int_{m_n^{\mu\mu}} N_{\Upsilon(nS)} F_n(m) dm}{\int_{m_n^{\mu\mu}} \text{fit}(m) dm}$$

$$f_{nk} = \frac{\int_{m_n^{\mu\mu}} N_{\Upsilon(kS)} F_k(m) dm}{\int_{m_n^{\mu\mu}} \text{fit}(m) dm}$$

$$k_n = \frac{\langle F_{\text{bkg}}(m) \rangle|_{m_4^{\mu\mu}} - \langle F_{\text{bkg}}(m) \rangle|_{m_n^{\mu\mu}}}{\langle F_{\text{bkg}}(m) \rangle|_{m_4^{\mu\mu}} - \langle F_{\text{bkg}}(m) \rangle|_{m_0^{\mu\mu}}}$$

# correction for pileup

- subtraction of pileup using **event mixing technique** [EPJC 80 \(2020\) 64](#)



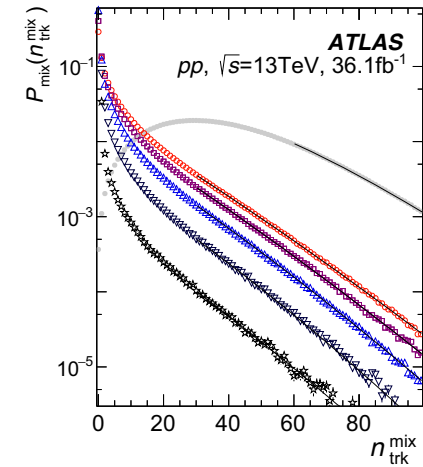
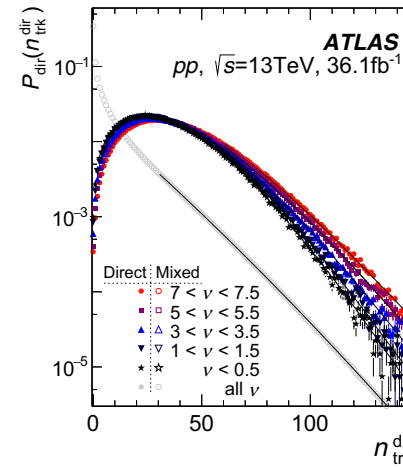
Select an event from main sample  
→ **Direct event** (with both signal and pileup)

Same run: search for events with same  $\mu$

Discard events where vertex within **15mm** of **Direct event**

**Mixed event** sample built from tracks with vertex pointing  $|\omega| = |(\mathbf{z}_0 - \mathbf{z}_{\text{vtx}}) \sin \theta| < 0.75 \text{mm}$  to Direct event

Procedure repeated 20 times to suppress statistical fluctuations in **Mixed** sample



Track production (physics)

$z_{\text{vtx}}$  distribution

$$\nu \equiv \langle n_{\text{trk}}^{\text{bkg}} \rangle = 2\omega_0 \left. \frac{d^2 n_{\text{trk}}}{d\omega d\bar{\mu}} \right|_{\bar{z}_{\text{vtx}}=0}$$

Analysis selection

$\text{Gauss}(\bar{z}_{\text{vtx}}) \bar{\mu}$

Instantaneous luminosity

- $\text{BKG} \equiv \text{Mixed} \rightarrow$  average number of pileup tracks:

# $\Upsilon(nS)$ and UE correlations – systematics summary

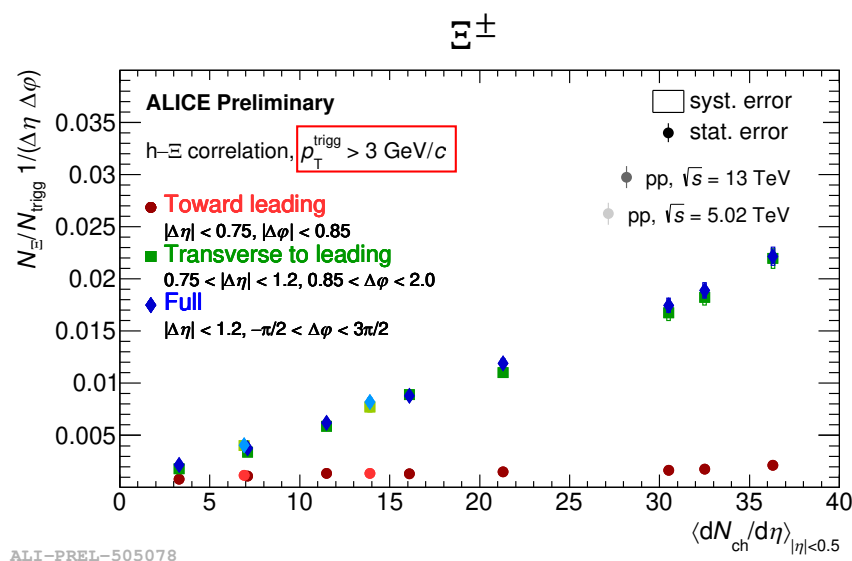
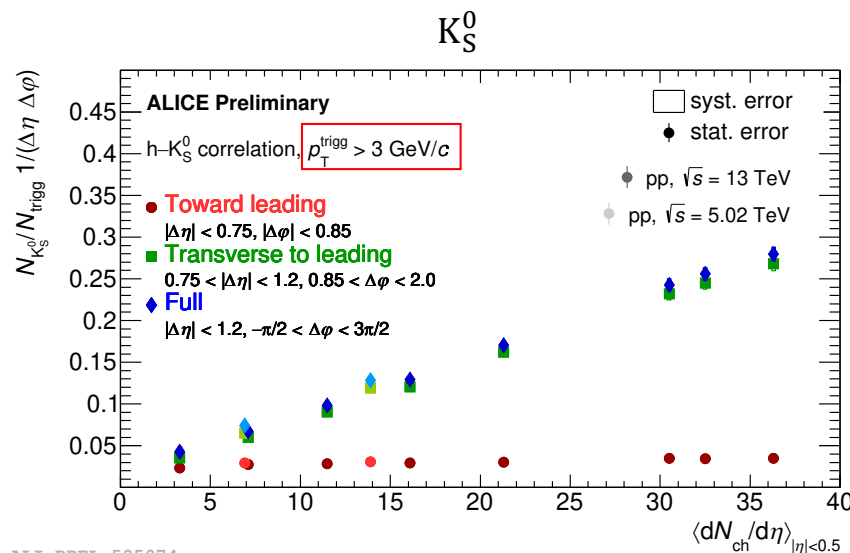
	$p_T^{\mu\mu} \leq 4 \text{ GeV}$	$4 < p_T^{\mu\mu} \leq 12 \text{ GeV}$	$12 < p_T^{\mu\mu} \leq 30 \text{ GeV}$	$p_T^{\mu\mu} > 30 \text{ GeV}$
$\Upsilon(1S)$	0.5 – 0.6	0.5 – 0.7	0.7 – 0.8	0.8 – 0.9
$\Upsilon(2S)$	0.6 – 0.6	0.5 – 0.7	0.7 – 0.8	0.8 – 1.0
$\Upsilon(3S)$	0.9 – 1.3	0.5 – 0.8	0.7 – 0.8	0.8 – 0.9
$\Upsilon(1S) - \Upsilon(2S)$	0.11 – 0.15	0.06 – 0.10	0.12 – 0.21	0.2 – 0.5
$\Upsilon(1S) - \Upsilon(3S)$	0.6 – 0.9	0.14 – 0.36	0.14 – 0.15	0.16 – 0.19

Table 1: Systematic uncertainties for measurements of  $\langle n_{\text{ch}} \rangle$  and their differences for different  $\Upsilon(nS)$  states and for the difference between  $\langle n_{\text{ch}} \rangle$  measured for  $\Upsilon(1S) - \Upsilon(nS)$ . The values are the number of charged particles with  $0.5 \leq p_T < 10 \text{ GeV}$  and  $|\eta| < 2.5$ .

- shown for  $n_{\text{ch}}$  but propagated to all quantities



# strange enhancement



- enhancement of strange hadrons is one of the **signature pp collectivity** results
- ALICE measurement ([ALI-PREL-505074](#)) shows strange hadron yields from **out-of-jet** and **full** samples increases with multiplicity and are consistent with each other
- **toward jet** yields do not depend on multiplicity

→ could suggest that it is an underlying event effect