CMS jet measurements and constraints on PDFs and α_s



K. Wichmann of behalf of the CMS Collaboration @ DIS2023

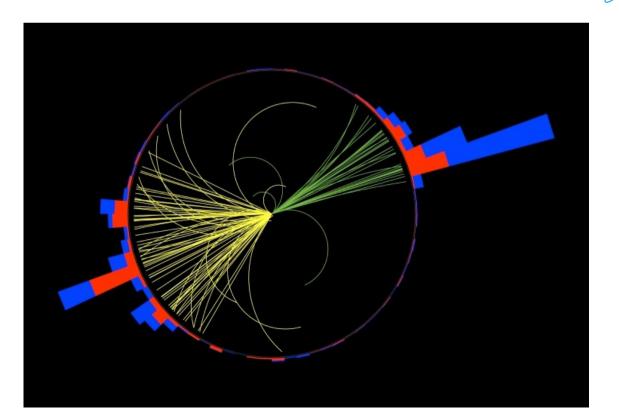
MICHIGAN STATE UNIVERSITY





Motivation and QCD analysis strategy

- Jets allow extensive tests on (p)QCD
- Together with HERA inclusive data they allow simultaneous fits of parton densities and $\alpha_{\rm s}$
 - \rightarrow QCD fits presented here follow HERAPDF strategy
 - \rightarrow QCD fits presented here done using xFitter



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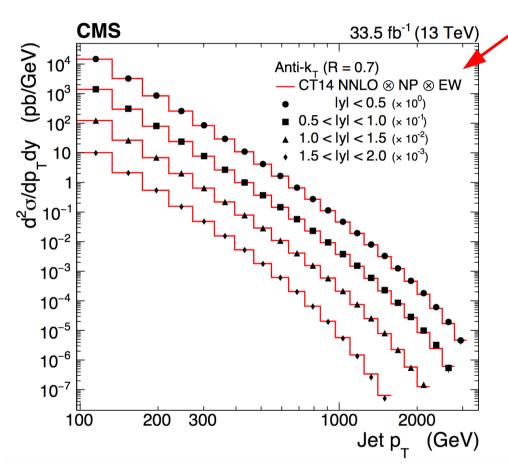


Inclusive jets at CMS @ 13 TeV

JHEP 2022 (2022) 35 (Addendum to JHEP 02 (2022) 142)



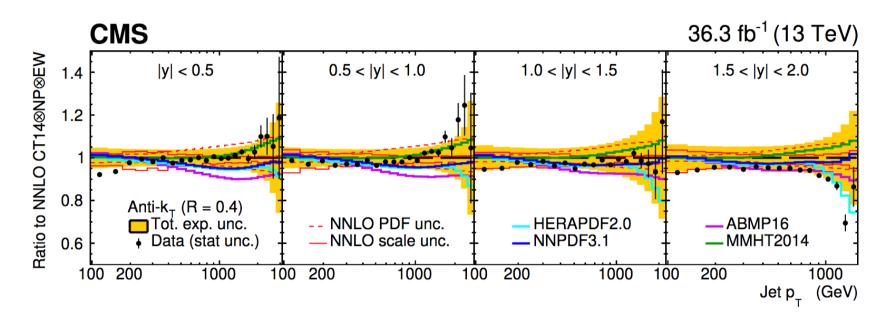


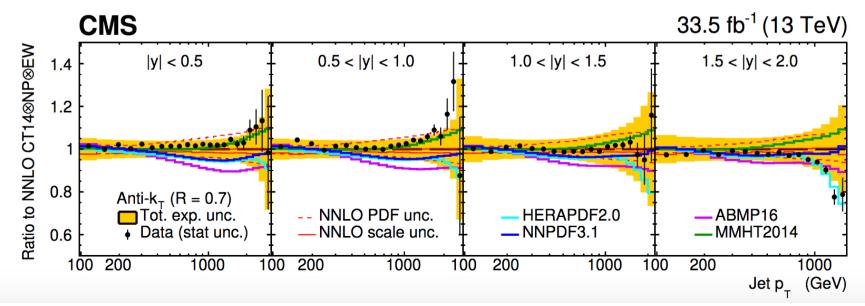


- 13 TeV inclusive jet cross sections
 already published: JHEP 02 (2022)
 142
 - \rightarrow also QCD analysis and as measurement <u>@ NNLO using k-factors</u>
- NEW: addendum with NNLO analysis using NNLO interpolation grids: JHEP 12 (2022) 035
 - \rightarrow presented here
 - NLOJET calculation to derive grids \rightarrow numerical integration uncertainty ~ 1%
 - In fit increased by a factor of 2
 → impact negligible



Comparison of measurement with predictions using various PDFs

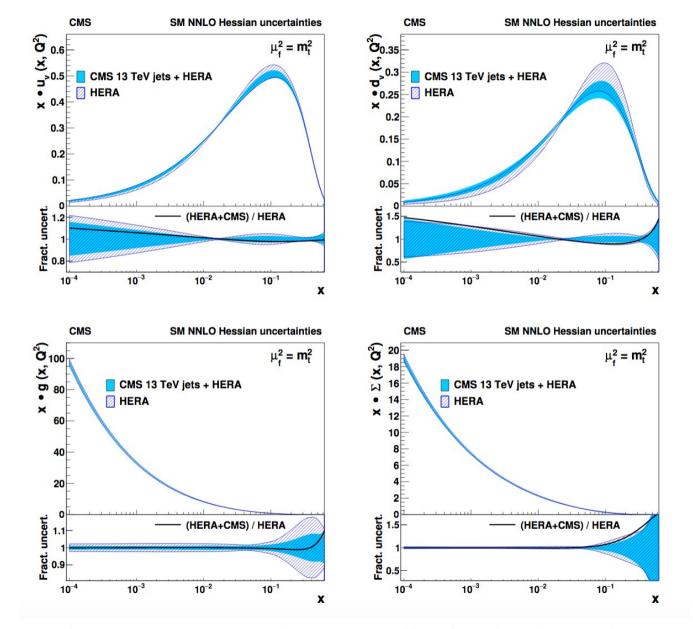




Impact of CMS jet data in QCD analysis

CMS





• Precision of PDFs improved, especially for high-x gluon



Simultaneous determination of PDFs and α_s



NEW $\alpha_{\rm S}(m_{\rm Z}) = 0.1166 \pm 0.0014 \, ({\rm fit}) \pm 0.0007 \, ({\rm model}) \pm 0.0004 \, ({\rm scale}) \pm 0.0001 \, ({\rm param.})$ OLD

 $\alpha_{
m S}(m_{
m Z}) = 0.1170 \pm 0.0014$ (fit) ± 0.0007 (model) ± 0.0008 (scale) ± 0.0001 (param.)

 \rightarrow Improved precision compared to NNLO result with k-factors

Data sets		HERA+CMS Partial χ^2/N_{dp}	Good description of data by fit
HERA I+II neutral current	$e^+p, E_p = 920 \text{GeV}$	376/332	
HERA I+II neutral current	$e^+p, E_p = 820 \text{GeV}$	60/63	results
HERA I+II neutral current	$e^+p, E_p = 575 \text{GeV}$	202/234	
HERA I+II neutral current	$e^+p, E_p = 460 \text{GeV}$	209/187	
HERA I+II neutral current	$e^-p, E_p = 920 \text{GeV}$	227/159	
HERA I+II charged current	$e^+p, E_p = 920 \text{GeV}$	46/39	
HERA I+II charged current	$e^-p, E_p = 920 \text{GeV}$	56/42	
CMS inclusive jets 13 TeV	0.0 < y < 0.5	8.6/22	<u>These results supersede</u> these
	0.5 < y < 1.0	23/21	
	1.0 < y < 1.5	13/19	obtained using k-factor technique
	1.5 < y < 2.0	14/16	
Correlated χ^2		81	
Global $\chi^2/N_{\rm dof}$		1302/1118	





13 TeV CMS data with 36.3 fb⁻¹ CMS PAS SMP-21-008

Jets

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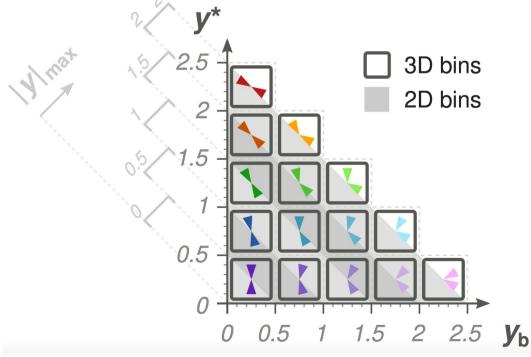
Cross section measurement

• Dijet cross section measured double- and triple-differentially in terms of properties of system formed by the two p_{τ} -leading jets \rightarrow 2D: as a function of dijet invariant mass $m_{1,2}$ in five rapidity regions $|y_{max}|$

 $y_{\max} = \operatorname{sign}(|\max(y_1, y_2)| - |\min(y_1, y_2)|) \max(|y_1|, |y_2|)$

 \rightarrow 3D: m_{1,2} and ${\ \ \, < \ \ \, }_{1,2}$ in 15 rapidity bins, defined in terms of dijet rapidity separation y^{*} and total boost y_b of dijet system

$$y^* = \frac{1}{2}|y_1 - y_2|, \quad y_b = \frac{1}{2}|y_1 + y_2| \quad m_{1,2} = \sqrt{(E_1 + E_2)^2 - (\vec{p}_1 + \vec{p}_2)^2}, \quad \langle p_T \rangle_{1,2} = \frac{1}{2}(p_{T,1} + p_{T,2})$$



- Illustration of dijet rapidity phase space, highlighting the relationship between variables used for 2D and 3D measurements
- Colored triangles are suggestive of orientation of two jets in different phase space regions in the laboratory frame (beam line runs horizontally)





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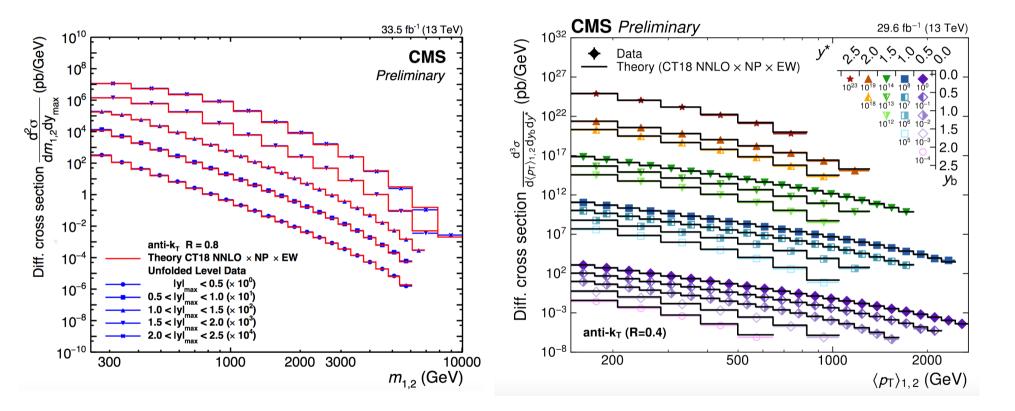
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Measured cross sections

• Unfolded cross sections for 2D and 3D measurements

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- \rightarrow compared with fixed-order theory predictions at NNLO, complemented by NP and electroweak corrections

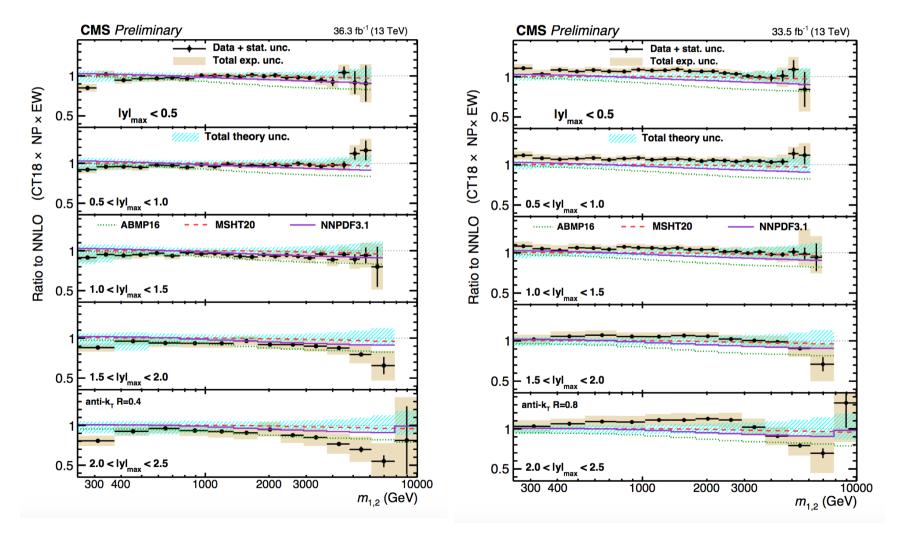


• Predictions for different PDFs generally in agreement \rightarrow except for AMBP16 PDF - predicted cross sections are generally smaller



Comparison with NNLO predictions: 2D measurements

 Comparison with fixed-order theory predictions at NNLO, complemented by NP and electroweak corrections



Predictions for different PDFs generally in agreement

 → except for AMBP16 PDF - predicted cross sections are generally smaller



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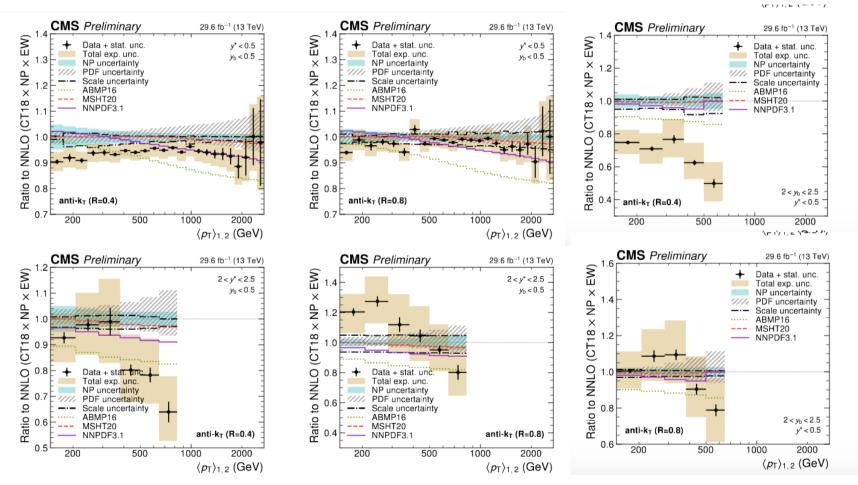
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Comparison with NNLO predictions: 3D measurements

 Comparison with fixed-order theory predictions at NNLO, complemented by NP and electroweak corrections



- Predictions for different PDFs generally in agreement
 - \rightarrow except for AMBP16 PDF predicted cross sections are generally smaller



QCD analysis @ NNLO and α_s estimation

Fitted data sets

Parameterisations used

PDF

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HERA DIS + CMS dijets (2D)

HERA DIS + CMS dijets (3D)

$\begin{array}{ll} x\,g(x,\mu_{\rm F,0}^2) & A_{\rm g}\,x^{B_{\rm g}}\,(1-x)^{C_{\rm g}} & A_{\rm g}\,x^{B_{\rm g}}\,(1-x)^{C_{\rm g}} \\ x\,u_{\rm v}(x,\mu_{\rm F,0}^2) & A_{\rm u_v}\,x^{B_{\rm u_v}}(1-x)^{C_{\rm u_v}}\,(1+D_{\rm u_v}x+E_{\rm u_v}x^2) & A_{\rm u_v}\,x^{B_{\rm u_v}}(1-x)^{C_{\rm u_v}}\,(1+D_{\rm u_v}x) \\ x\,d_{\rm v}(x,\mu_{\rm F,0}^2) & A_{\rm d_v}\,x^{B_{\rm d_v}}\,(1-x)^{C_{\rm d_v}} & A_{\rm d_v}\,x^{B_{\rm d_v}}\,(1-x)^{C_{\rm d_v}} \\ x\,\overline{\rm U}(x,\mu_{\rm F,0}^2) & A_{\overline{\rm U}}\,x^{B_{\overline{\rm U}}}\,(1-x)^{C_{\overline{\rm U}}}\,(1+D_{\overline{\rm U}}x) & A_{\overline{\rm U}}\,x^{B_{\overline{\rm U}}}\,(1-x)^{C_{\overline{\rm U}}}\,(1+D_{\overline{\rm U}}x) \\ x\,\overline{\rm D}(x,\mu_{\rm F,0}^2) & A_{\overline{\rm D}}\,x^{B_{\overline{\rm D}}}\,(1-x)^{C_{\overline{\rm D}}} & A_{\overline{\rm D}}\,x^{B_{\overline{\rm D}}}\,(1-x)^{C_{\overline{\rm D}}}\,(1+D_{\overline{\rm D}}x) \end{array}$

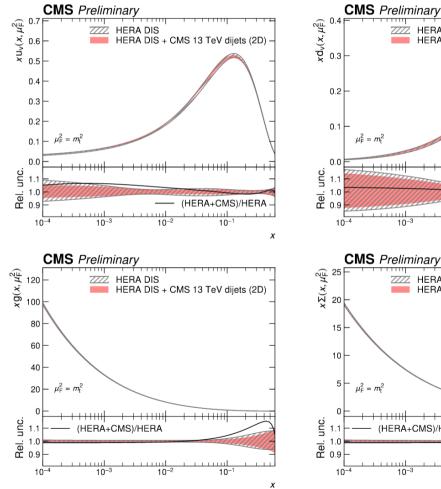
- 2D: $\alpha_{\rm s}(m_{\rm Z}) = 0.1201 \pm 0.0012 \,({\rm fit}) \pm 0.0008 \,({\rm scale}) \pm 0.0008 \,({\rm model}) \pm 0.0005 \,({\rm param.})$ = 0.1201 ± 0.0021 (total).
- **3D**: $\alpha_{\rm s}(m_{\rm Z}) = 0.1201 \pm 0.0010 \, ({\rm fit}) \pm 0.0005 \, ({\rm scale}) \pm 0.0008 \, ({\rm model}) \pm 0.0006 \, ({\rm param.})$ = 0.1201 ± 0.0020 (total),
- 2D and 3D estimates agree well
- 3D measurements give slightly more precise value of as

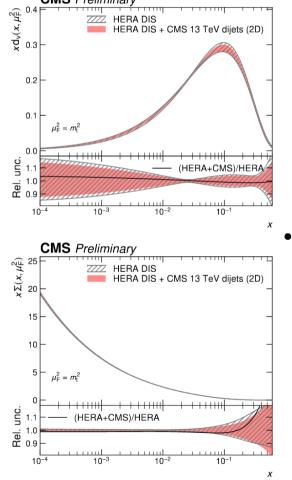
Central values from dijet measurements about 1 standard deviation away from world average of $as(mZ) = 0.1179 \pm 0.0009$ and larger by about 1.6 standard deviations than those for inclusive jets at 13 TeV

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Impact on parton distributions: 2D measurements





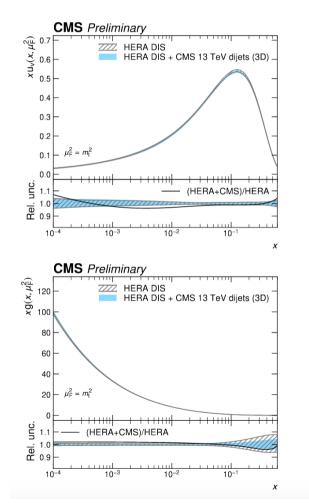
- Inclusion of the dijet measurements results in overall reduction of the PDF fit uncertainty
 - \rightarrow In particular precision of gluon PDF is improved for parton momentum fractions x > 0.1
- Distributions obtained with and without the CMS data appear largely compatible within fit uncertainty alone \rightarrow notable exception of gluon at $x > 0.1 \rightarrow$ increased gluon contribution

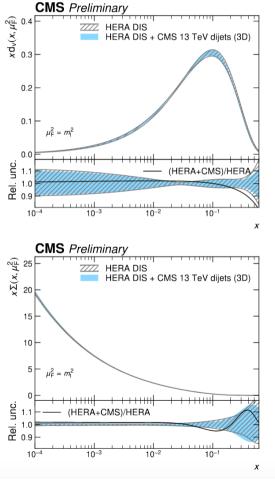
DESY.

Jets



Impact on parton distributions: 3D measurements





- Fits including the 3D dijet cross sections result in larger reduction of fit uncertainty
- Distributions obtained with and without the CMS data appear largely compatible even within fit uncertainty alone

DESY.

Multi-jets

Beyond collinear PDFs: PB-TMD

13 TeV CMS data with 36.3 fb⁻¹ arXiv:2210.13557





Motivation

- In pp collisions at LO \to two colliding partons scatter \to production of 2 high $p_{_T}$ partons \to jets
- Such jets strongly correlated in transverse plane
 - \rightarrow azimuthal angle difference between them should be close to π
- Higher-order corrections result in decorrelation in azimuthal plane \rightarrow angle significantly deviates from π
- Corrections due to:
 - hard parton radiation, calculated at matrix element level at NLO
 - softer multiple parton radiation described by parton showers

Predictions available with initial-state parton shower is determined by partonbranching PB-TMD densities

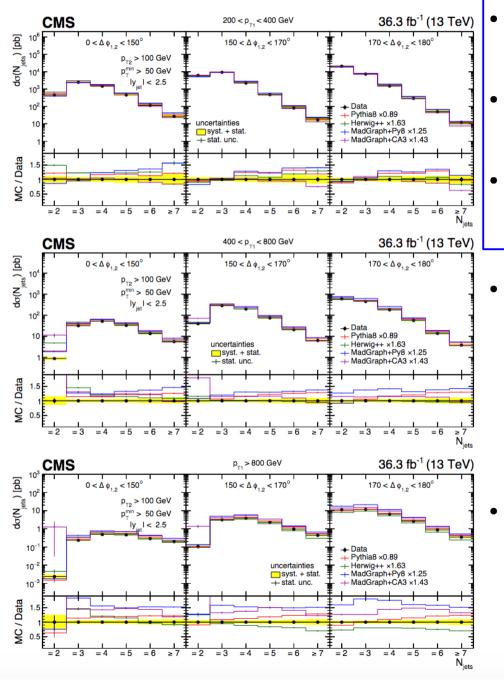
 \rightarrow used in CASCADE \rightarrow can be confronted with data

Generator	PDF	ME	Tune
pythia8 23	NNPDF 2.3 (LO) [25]	$LO 2 \rightarrow 2$	CUETP8M1 24
MADGRAPH+Py8 4	NNPDF 2.3 (LO) [25]	$LO 2 \rightarrow 2, 3, 4$	CUETP8M1 [24]
MADGRAPH+CA3 [4]	PB-TMD set 2 (NLO) [1]	$LO 2 \rightarrow 2, 3, 4$	—
HERWIG++ [26]	CTEQ6L1 (LO) [27]	$LO 2 \rightarrow 2$	CUETHppS1 [24]
MG5_aMC+Py8 (jj)	NNPDF 3.0 (NLO) [31]	NLO 2 \rightarrow 2	CUETP8M1 [24]
MG5_aMC+CA3 (jj)	PB-TMD set 2 (NLO) [NLO $2 \rightarrow 2$	—
MG5_aMC+CA3 (jjj)	PB-TMD set 2 (NLO) [NLO $2 \rightarrow 3$	—





Jet multiplicities

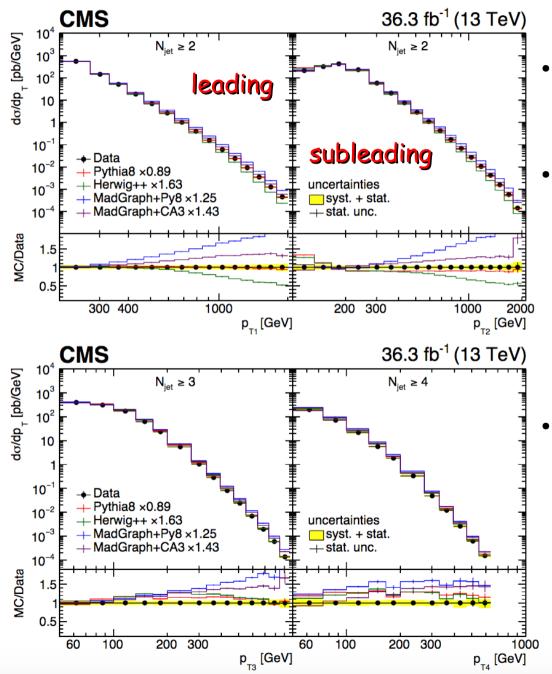


- Jets clustered with anti- k_{T} algorithm with R=0.4 and $|\eta| < 3.2$ and $p_{T} > 20$ GeV Dijet system with $p_{T1} > 200$ GeV and
- p_{T,2} > 100 GeV and |y^{1,2}| < 2.5
- Additional jets with p_{τ} > 50 GeV and |y| < 2.5
- Differential cross section as a function of exclusive jet multiplicity \rightarrow up to 7 jets in bins of p_{τ} of leading jet and azimuthal angle difference between two highest p_{τ} jets in dijet system
- Data compared with LO predictions → MADGRAPH+PY8 shape doesn't agree
 - \rightarrow MAD-GRAPH+CA3 and HERWIG++

agree



Transverse momentum distributions



- Transverse momentum distributions
 of four leading jets
- Data compared with LO predictions \rightarrow Only PYTHIA8 describes data reasonably well the shape, except for $p_T^2 < 200 \text{ GeV}$
- → Shape of 3rd and 4th jet
 distributions not well described,
 PYTHIA8 overestimates rate
 Compared to MADGRAPH+PY8,
 MADGRAPH+CA3 gives significant
 improvement for shape three leading
 jets
 - description of 4th jet is similar to MADGRAPH+PY8

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Transverse momentum distributions

36.3 fb⁻¹ (13 TeV)



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CMS

10⁴ do/dp_⊤ [pb/GeV] N_{iet} ≥ 2 $N_{iet} \ge 2$ 10³ 10^{2} 10 10⁻² Data uncertainties 10⁻³ MG5_aMC+Py8(jj) ×0.97 syst. + stat. MG5 aMC+CA3(ii) ×1.23 — stat. unc. 10⁻⁴ **MC/Data** 1.5 0.5E 300 400 1000 200 300 1000 2000 p_ [GeV] p_ [GeV] 36.3 fb⁻¹ (13 TeV) CMS 10 lo/dp_⊤ [pb/GeV] N_{iet} ≥ 3 $N_{iet} \ge 4$ 10³ 10² 10-Data 10⁻² MG5_aMC+Py8(jj) ×0.97 uncertainties MG5_aMC+CA3(jj) ×1.23 10⁻³ syst. + stat. MG5 aMC+CA3(jjj) ×1.23 + stat. unc. 10-4 MC/Data 1.5 0.5 200 300 60 100 200 300 60 100 1000 p_{T3} [GeV] p_ [GeV]

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- Transverse momentum distributions of four leading jets
- \rightarrow theory bands: scale uncertainties
- Data compared with NLO predictions → MG5aMC+Py8 (jj) and MG5aMC+CA3 (jj) describe normalization and shape offirst three jets rather well → MG5aMC+CA3 (jjj) describes 3rd and 4th jets well within uncertainties Jets

First time calculations using PB-TMDs together with MEs in MC@NLO frame are compared with jet measurements over wide range in transverse momentum and jet multiplicities

Jets

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Message to take away

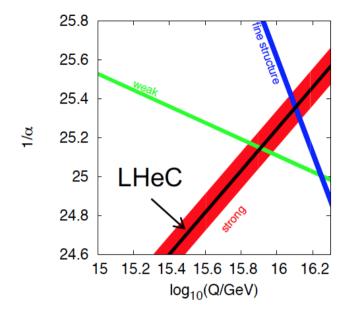
- New QCD analysis and as estimation using NNLO grids for inclusive jests
 @ 13 TeV
 - \rightarrow Improved precision compared to NNLO result with k-factors
 - \rightarrow New results supersede these obtained using k-factor technique
- Double- and triple-differential dijet measurements reduce PDF uncertainties, especially for large values of x

 → as estimated using 2D and 3D measurements
 → central values slightly larger than world average or inclusive CMS estimates, though within 1-1.6 sigma
 → 3D cross sections yield more precise value of as
- For the first time calculations using "Parton Branching"-TMDs together with MEs in MC@NLO frame are compared with jet measurements over wide range in transverse momentum and jet multiplicities and describe data well



Additional slides

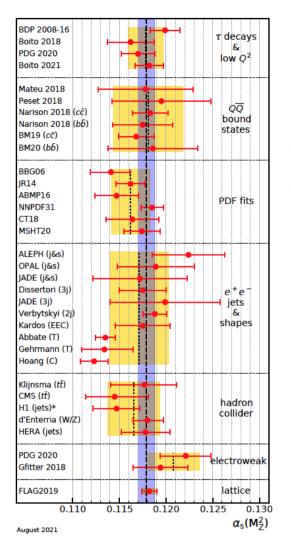
Why look at as?

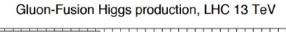


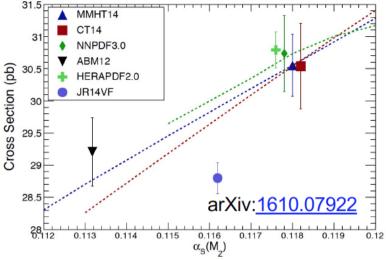
 αs is least known coupling constant;

needed to constrain GUT scenarios; cross section predictions, including Higgs;

. . .







PDFs and/or **αs** limit: precision SM and Higgs measurements, BSM searches,

PDG21: αs = 0.1175 ± 0.0010 (w/o lattice)

what is true α s central value and uncertainty?

new precise determinations have important role to play

$$\begin{aligned} & \text{HERAPDF2.0 parameterisation} \\ & xf(x) = Ax^{B}(1-x)^{C}(1+Dx+Ex^{2}) \\ & xg(x) = A_{g}x^{B_{g}}(1-x)^{C_{g}} - A'_{g}x^{B'_{g}}(1-x)^{C'_{g}}, \\ & xu_{v}(x) = A_{u_{v}}x^{B_{u_{v}}}(1-x)^{C_{u_{v}}}\left(1+E_{u_{v}}x^{2}\right), \\ & xd_{v}(x) = A_{d_{v}}x^{B_{d_{v}}}(1-x)^{C_{d_{v}}}, \\ & x\overline{U}(x) = A_{\overline{U}}x^{B_{\overline{U}}}(1-x)^{C_{\overline{U}}}\left(1+D_{\overline{U}}x\right), \\ & x\overline{D}(x) = A_{\overline{D}}x^{B_{\overline{D}}}(1-x)^{C_{\overline{D}}}. \end{aligned}$$

- Additional constrains
 - $A_{u_v}, A_{d_v}, A_{g_{\perp}}$ constrained by the quark-number sum rules and momentum sum rule
 - $\bullet B_{\overline{U}} = B_{\overline{D}}$

•
$$x\overline{s} = f_s x\overline{D}$$
 at starting scale, $f_s = 0.4$



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TMDs-what is it? [Phys. Lett. B 772 (2017), 446-451], [JHEP 01 (2018), 070]

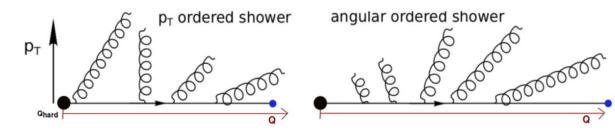
- TMDs : Transverse Momentum Dependent parton distributions
- extended collinear PDFs : transverse momentum effects from intrinsic k_t + evolution

Why TMD?

- fixed order calculations are limited in application
- small transverse momentum & small-x phenomena need TMDs

New approach: Parton Branching (PB) method

- evolution of TMDs and collinear PDFs at LO, NLO & NNLO
- automatically contain soft gluon resummation (at NLL identical to CSS approach)
- unique feature: backward evolution fully determines the TMD shower
- very successful for description of inclusive processes
 [Phys. Rev. D 100 (2019) no.7, 074027], [Eur. Phys. J. C 80 (2020) no.7, 598]



• Two angular ordered sets with different choice of scale in α_s :

- set1: α_s (evolution scale)
- set2: α_s (transverse momentum): similar quality as the NLO + NNLL prediction in $p_t(z)$ description

Sara Taheri Monfared (DESY)

PB TMDs

