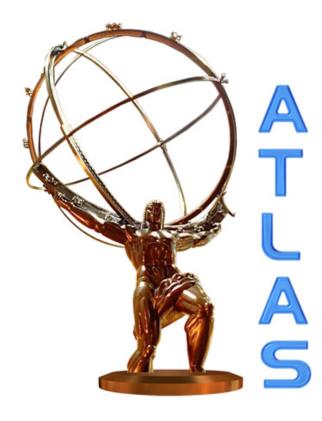


XXXX International Workshop on Deep-Inelastic Scattering and Related Subjects

Redefining Performance: New Techniques for ATLAS Jet & MET Calibration

Naseem Bouchhar





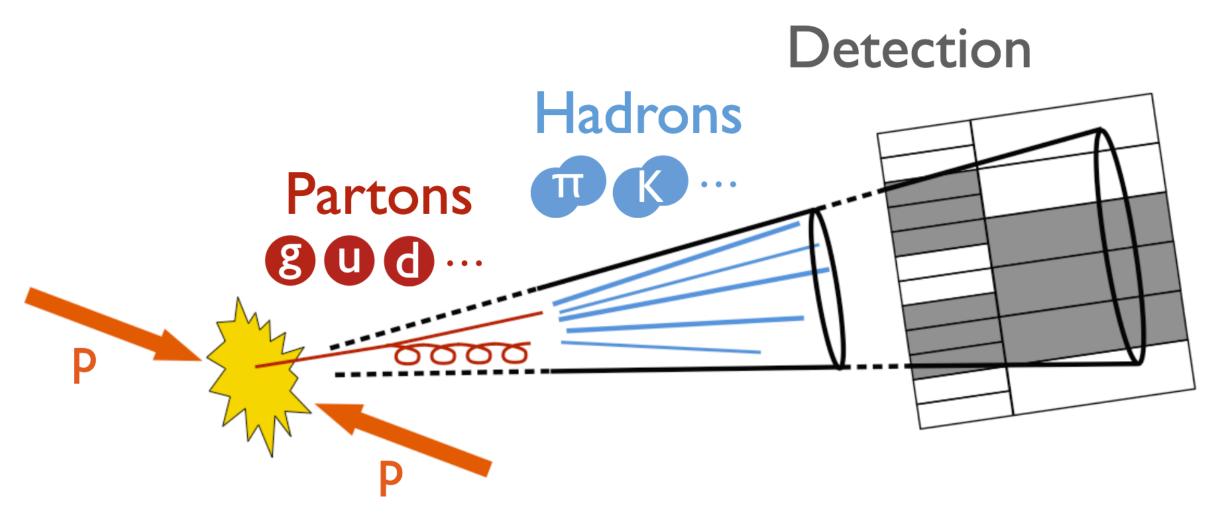
29 March 2023





Jets in High Energy Physics

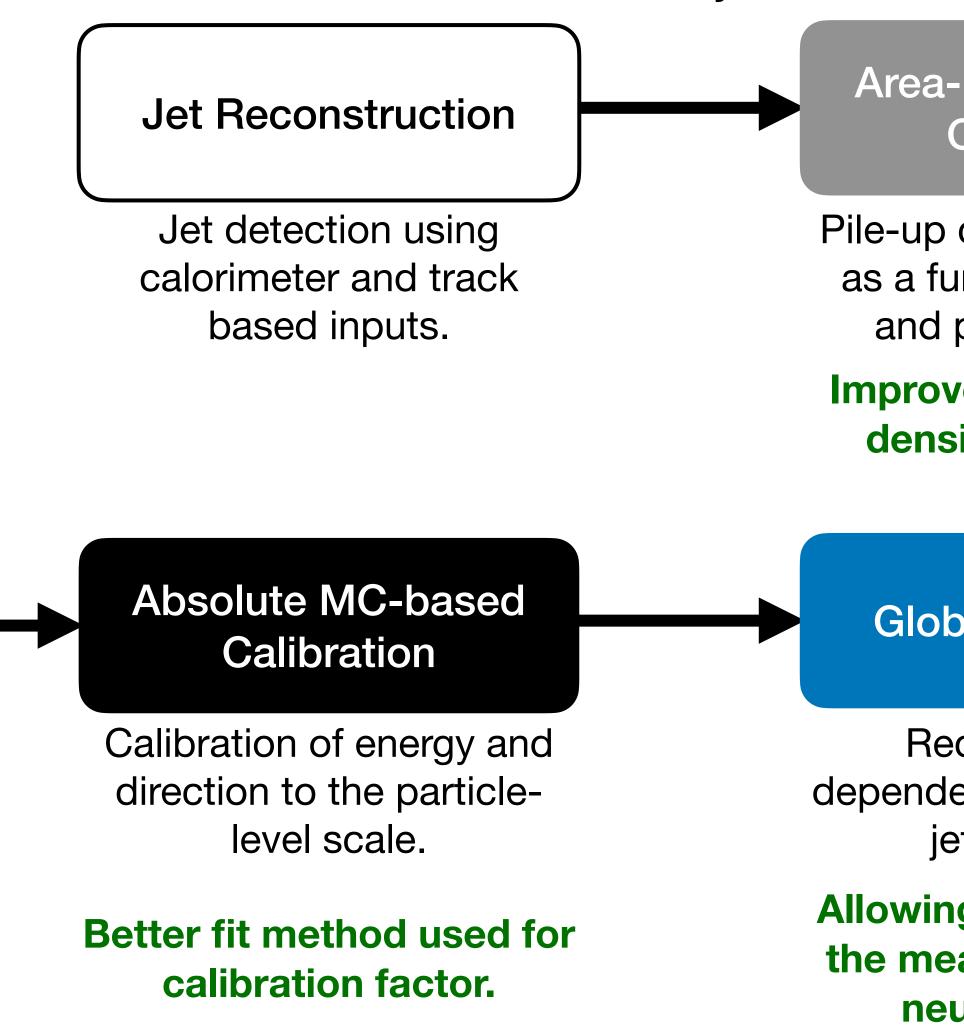
- Jets are collimated groups of particles that resugluons.
- Jets in the ATLAS experiment are reconstructed using the anti- k_t algorithm, using particle flow (PFlow) jets which consists of reconstructing jets from particle tracks and calorimeter energy deposits.
- These jets are used all through ATLAS so must be studied and understood well and thus they must be calibrated to account for a number of factors.
- The goal of this talk is to present the improvements and new techniques made for ATLAS jet calibration to reduce the jet energy scale (JES) uncertainties.



Jets are collimated groups of particles that result from the production of high energy quarks and

Calibration Chain

ATLAS has a dedicated jet calibration chain that consists of the following steps:



All the calibrations are applied to MC and data except the in-situ which is only applied to data.

Area-Based Pile-Up Correction

Pile-up correction applied as a function of jet area and pile-up density.

Improvement in pile-up density calculation.

Residual Pile-Up Correction

Remove residual pile-up dependency as a function of N_{PV} and μ .

Correlations of functions accounted for.

Global Calibration

Reduces flavour dependence and improves jet resolution.

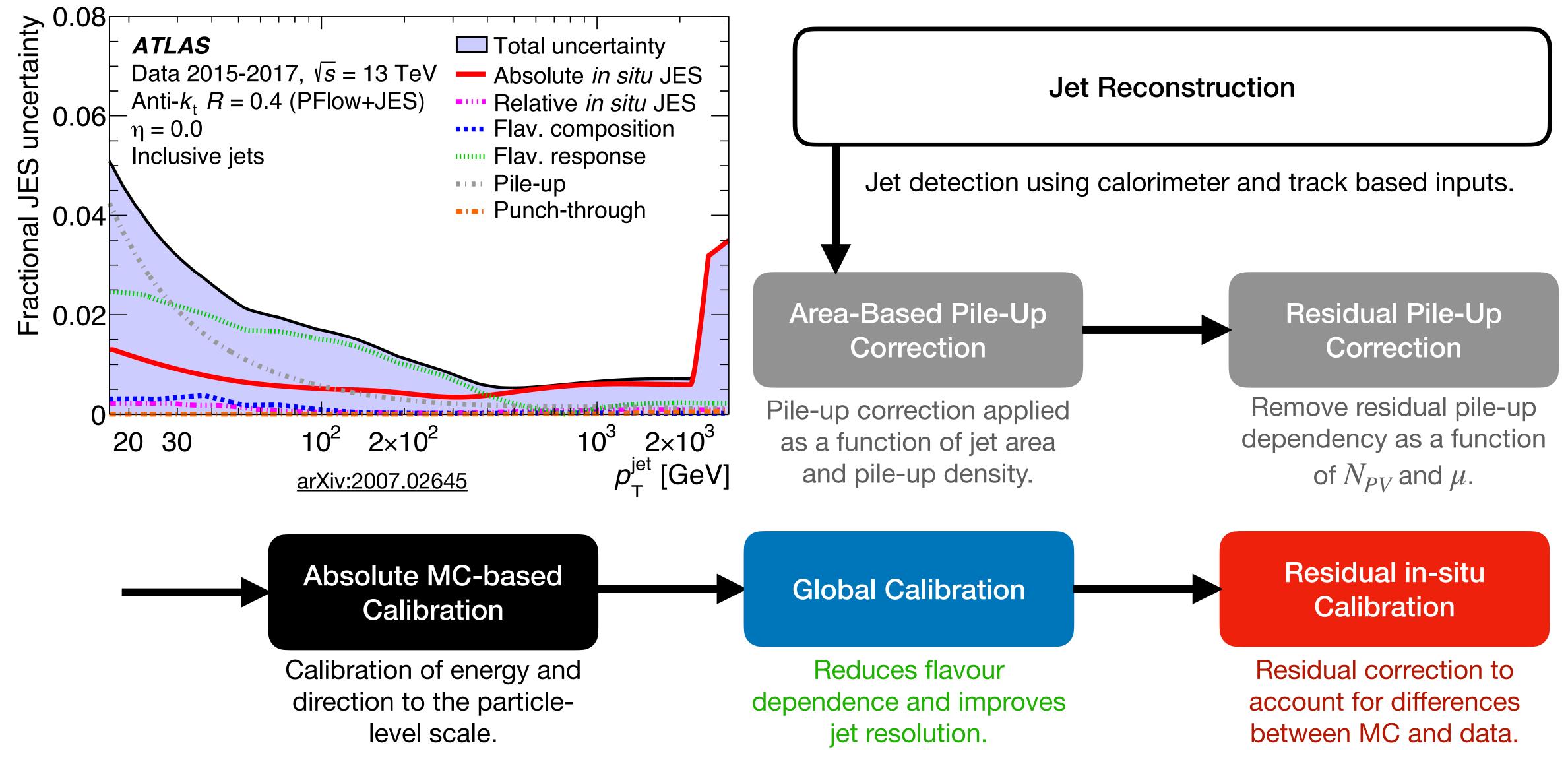
Allowing more inputs for the measurement using neural network. Residual in-situ Calibration

Residual correction to account for differences between MC and data.

- Modelling uncertainty improvement in η -intercalibration.
- bJES studied for γ +jet events.

Calibration Chain

ATLAS has a dedicated jet calibration chain that consists of the following steps:



Each step has a related JES uncertainty. The idea is to decrease these uncertainties as much as possible.

Area-based Pile-up Correction

- The jet area A is a measure of the susceptibility of the jet to pile-up.
- Want to **mitigate pile-up by subtracting** the average pile-up density from the energy of the jet using the jet area:

$$<\rho>= \mathrm{median}(\frac{p_{T,i}^{jet}}{A_{i}^{jet}})$$

Where i enumerates over all considered jets.

5

- Possible to have a bias in the estimation of ρ due to the event topology e.g. ttbar events have more hard-scatter activity than Z+jets events
 - To avoid such biases we estimate ρ using a sideband around the primary vertex (being sure it is pileup)

Differences between MC generators greatly reduced when using sideband, and so the uncertainty is reduced by a factor of 7 compared to what it was in Run 2.

14⊟

 ρ [GeV]

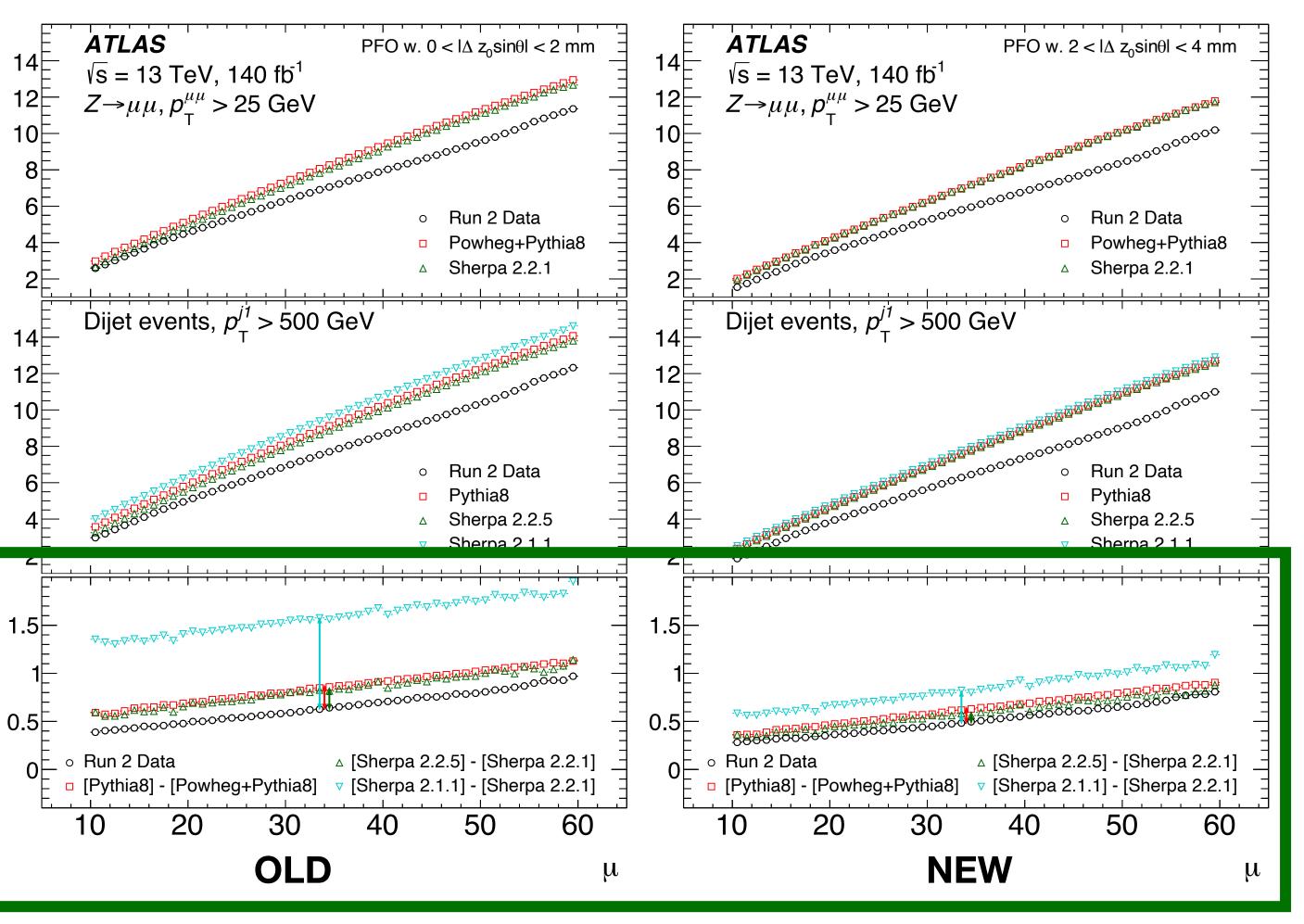
 $\rho \left. \right\rangle_{Z+jets} [GeV]$

1

 $\rho \rangle_{\text{di-jet}}$

ρ) [GeV

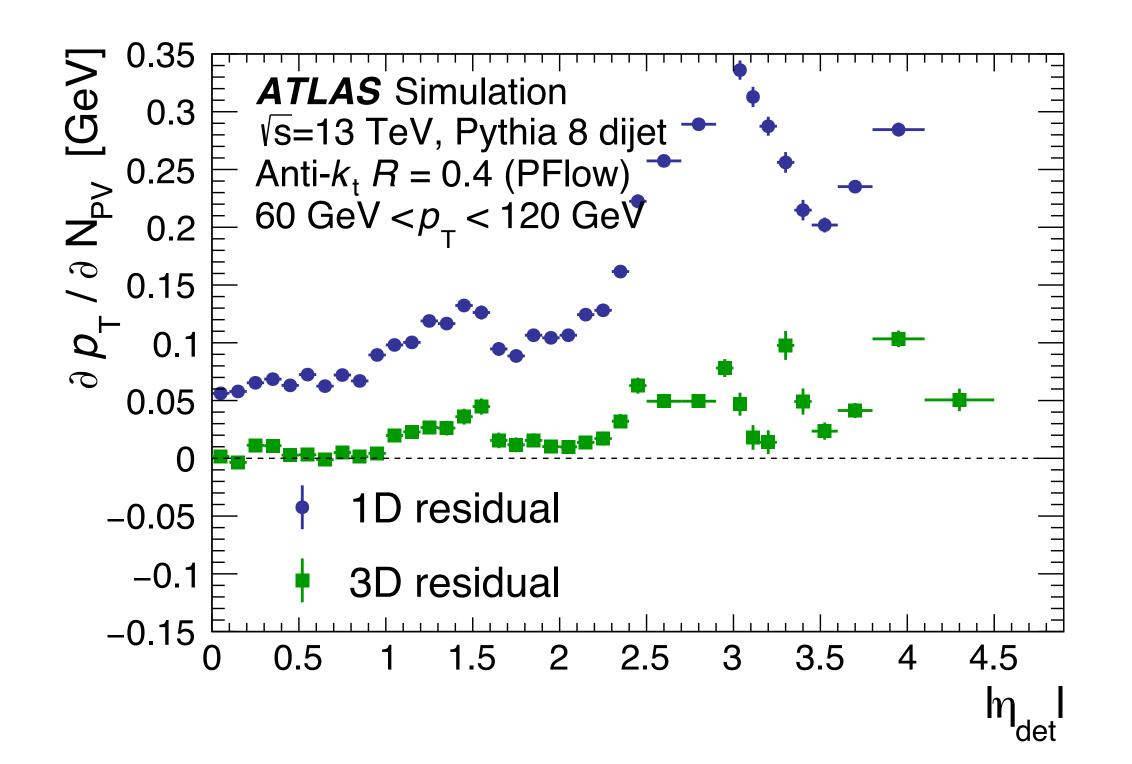
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Residual Pileup Correction

- After the jet-area correction, residual dependencies are found.
- Thus a **residual correction** is also applied to **reduce** dependency on pile-up.
- Original 1D residual pile-up correction:

$$p_T^{1D} = p_T^{area} - \alpha (N_{PV} - 1) - \beta \mu$$



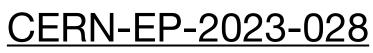
[GeV] ATLAS Simulation \sqrt{s} =13 TeV, Pythia 8 dijet 0.05 Anti- $k_{\rm t} R = 0.4$ (PFlow) Ľ 60 GeV < *p*_{_} < 120 GeV 3 ∂p_{T} -0.05 1D residual -0.1 **3D** residual -0.15 0.5 2.5 3.5 2 4.5 .5 lη l det

New 3D residual pile-up correction:

$$p_T^{3D} = p_T^{area} - \Delta p_T(N_{PV}, \mu, p_T^{area})$$

This new correction accounts for **correlations between** N_{PV} and μ while also applying an initial correction for detector effects.

Reduction of pile-up dependence.





Absolute MC-Based Calibration (MCJES)

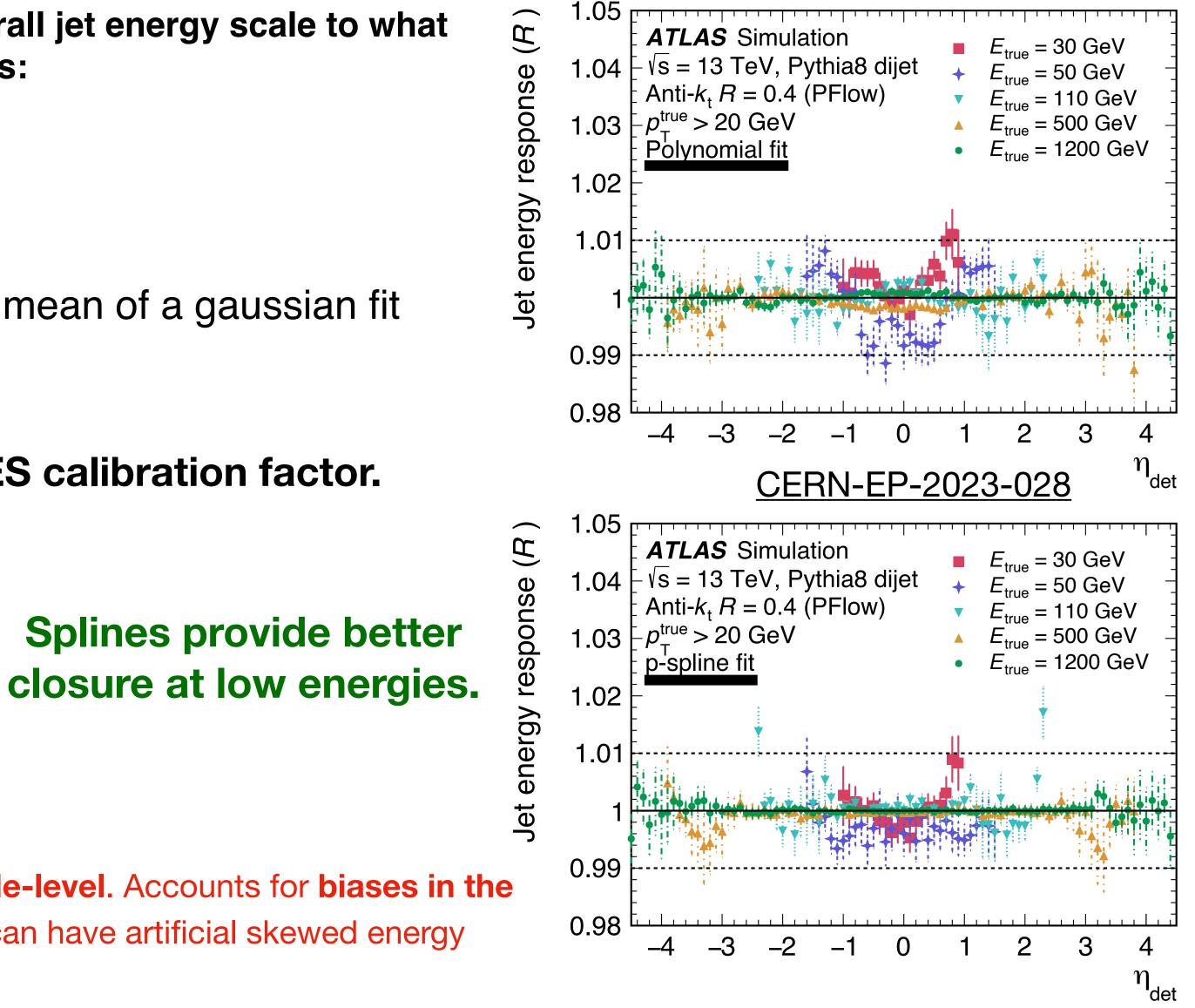
- MCJES corrects for factors to bring the overall jet energy scale to what it should be at particle-level. Factors such as:
 - Calorimeter response.
 - **Energy losses in dead material.**
 - **Out-of-cone radiation effects.**
- The average jet energy response *R* is the mean of a gaussian fit to $\frac{E_{reco}}{-}$ in bins of E_{true} and η_{det} . E_{truth}

The inverse of this function is the MCJES calibration factor.

- Two fit functions were tested to fit R:
 - Polynomial fits

Penalised Splines

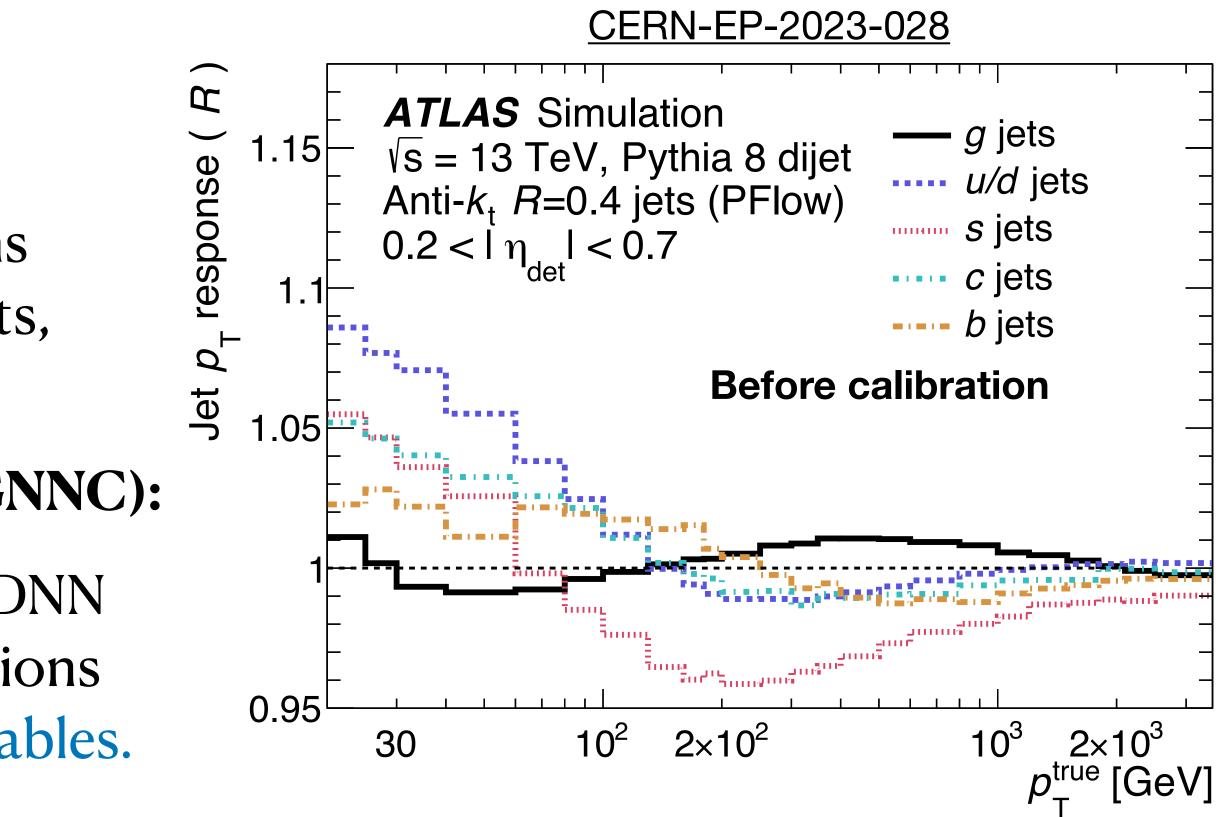
The MCJES also corrects the pseudo-rapidity to particle-level. Accounts for biases in the jet η reconstruction. Due to detector transitions, jets can have artificial skewed energy distributions.



Global Calibration

- The jet energy response depends on visible characteristics of jets. Such as different
 - Two types of global calibration:
 - Global Sequential Calibration (GSC):
 - Multiplicative series of corrections relying on global jet measurements, based on six input observables.
 - Global Neural Network Calibration (GNNC):
 - Simultaneous correction using a DNN which accounts for input correlations and allows for more input observables.

responses to quarks/gluons and different MC prediction of these characteristics of the jet.

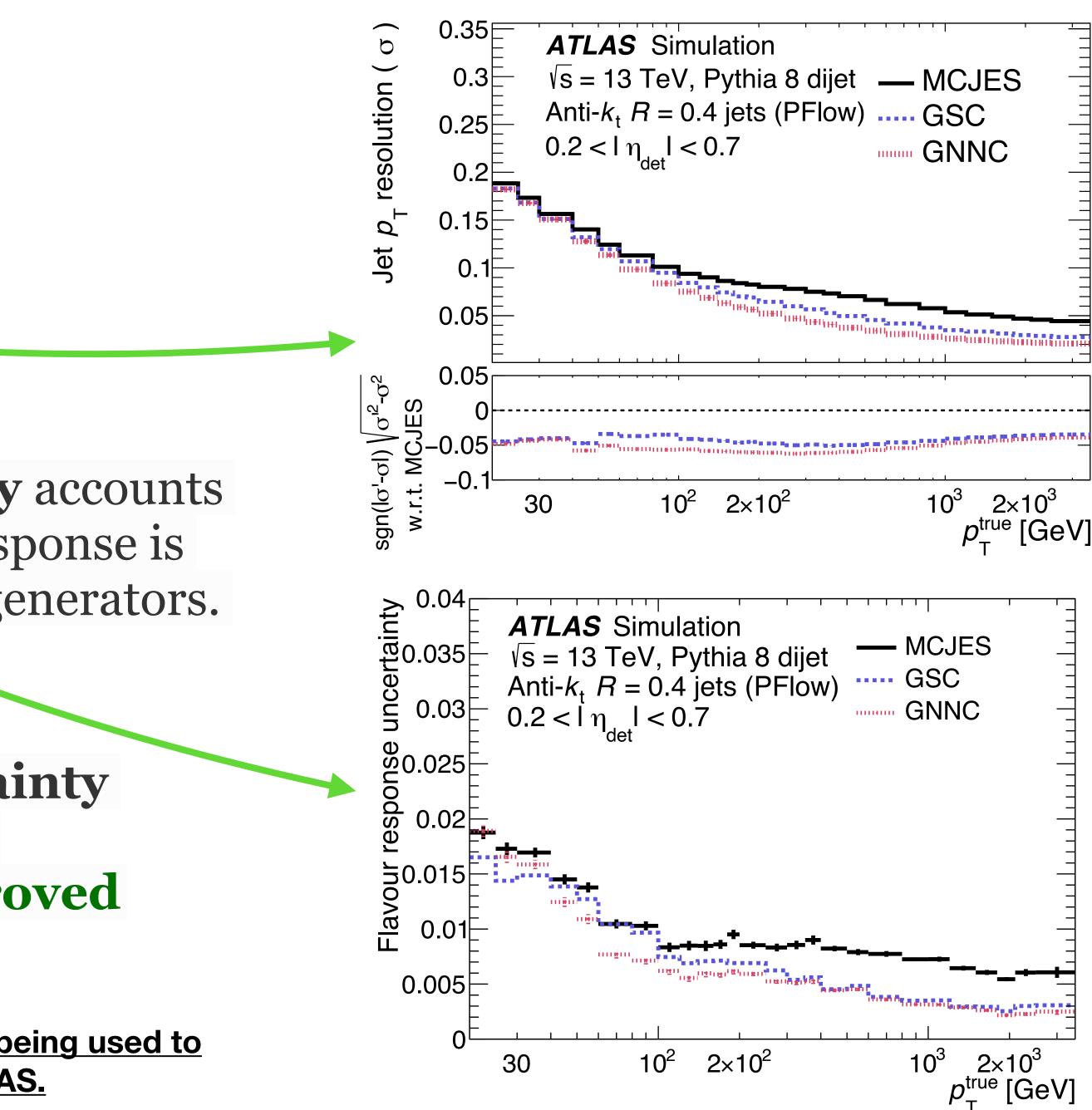


GSC vs GNNC

- Jet Energy Resolution (JER) average improvement in the GNNC.
- The flavour response uncertainty accounts for the fact that, gluon-initiated jet response is found to differ significantly between generators. Improved with GNNC.
- The flavour composition uncertainty accounts for the differing response of quark- and gluon-initiated jets. Improved with GNNC.

Ben Hodkinson is presenting other areas that <u>ML/AI is being used to</u> <u>improve performance of jets and MET in ATLAS.</u>

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In-situ calibration

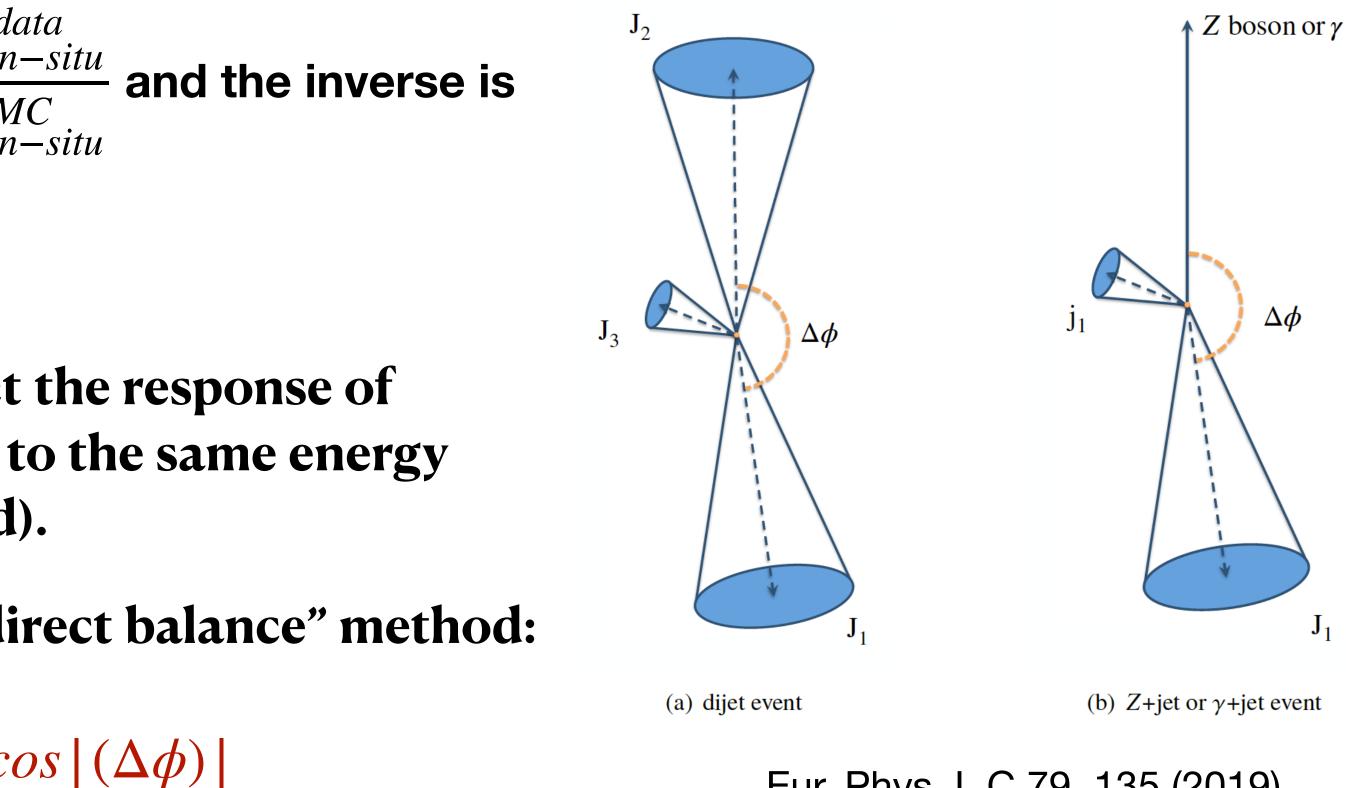
 p_T -based balance is measured for a jet recoiling against a well-calibrated object.

The in-situ correction factor is given as $C = \frac{R_{in-situ}^{data}}{R_{in-situ}^{MC}}$ and the inverse is applied to data.

- η -intercalibration uses di-jet events to correct the response of forward jets in the detector and brings them to the same energy scale of central jets (which are well-calibrated).
- bJES calibration uses γ +jet events with the "direct balance" method:

$$R_{DB} = \langle \frac{p_T^{ref}}{p_T^{jet}} \rangle, p_T^{ref} = p_T^{Object} \times c$$

• Residual correction to account for residual differences in jet response between MC and data.

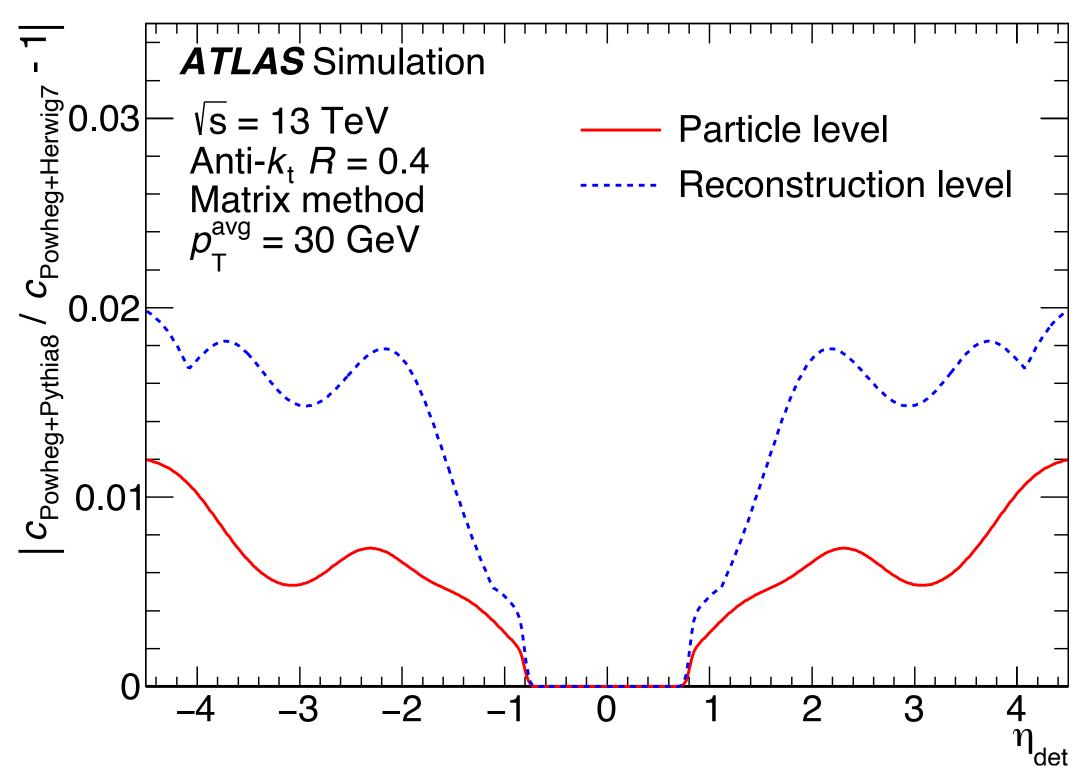


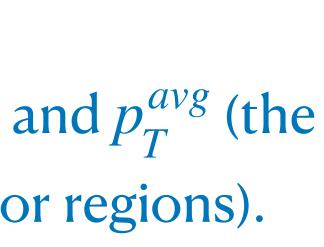
Eur. Phys J. C 79. 135 (2019)

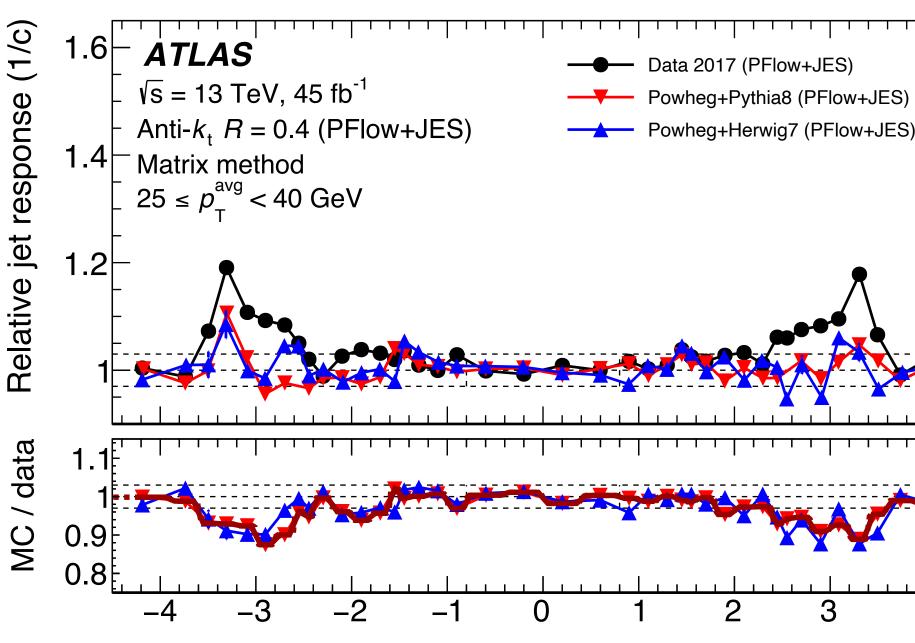


η-intercalibration

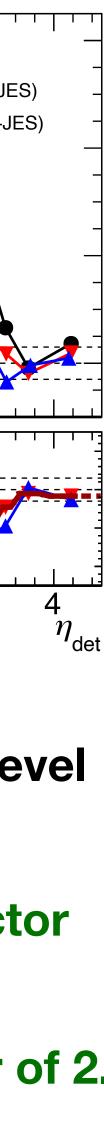
- Making the jet response homogeneous across the whole η range of the detector.
- The correction factor is derived in bins of η and p_T^{avg} (the average p_T of two jets in two distinct detector regions).





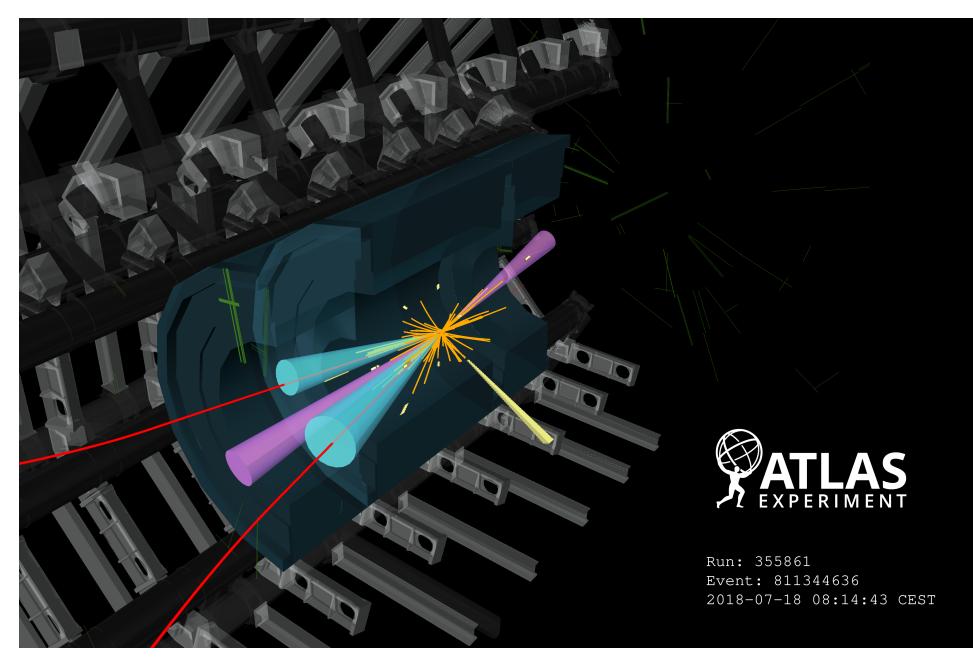


- New study to separate detector- and particle-level effects for the MC modelling uncertainty:
 - **Removes possible double-counting of detector** effects with the flavour uncertainty.
 - MC modelling uncertainty reduced by factor of 2.



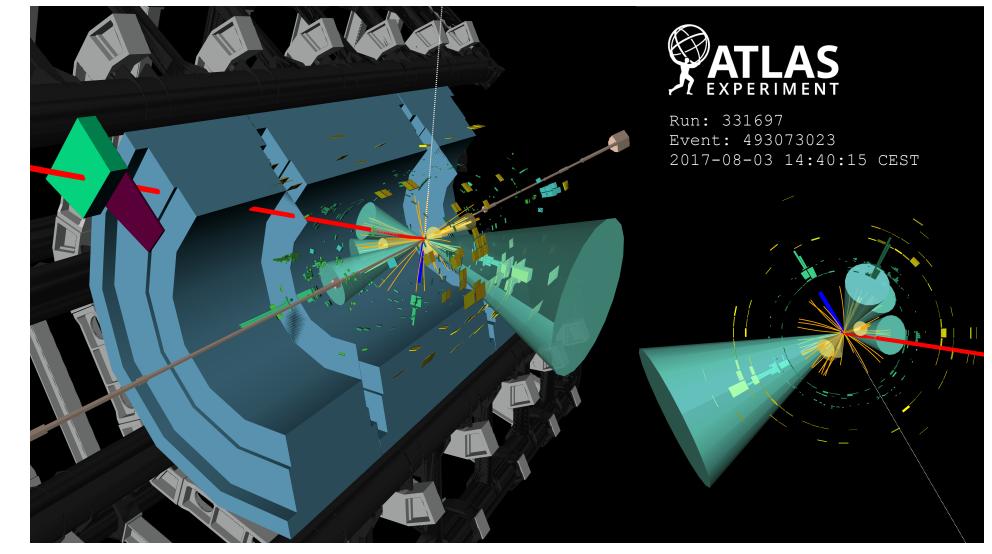
b-Jet Energy Scale

Jets originating from the fragmentation and hadronisation of bottom quarks (b-jets) play an extremely important **role** in many collision processes involved in the ATLAS detector (e.g. the main decay of the Higgs $H - > b\overline{b}$).



arXiv:2010.13651

b-Jet Energy Scale (bJES) - the correction of b-jet energy applied after the previous steps to account for response difference due to the nature of b-jets.



arXiv:2211.01136

b-jets differ from light-quark and gluon jets:

This may effect the energy response of the jet so it is important to study the differences

bJES with γ +jet events

events measure if the bJES differs from the JES

$$\tilde{R}_{bJES} = \frac{R}{R}$$

- samples containing all types of jets. [arXiv:2211.16345]
- B-tagging is applied in terms of efficiencies:
 - Lower purity but higher statistics.

• Idea is to compare the MC-to-data ratio for the balance of b-tagged jets and inclusive jets in γ -jet

 $R^{MC}_{b-tagged}/R^{data}_{b-tagged}$ R^{MC} / R^{data} inclusive

• ATLAS uses a multi-variate NN algorithm called **b-tagging**, which returns mostly b-jets from a

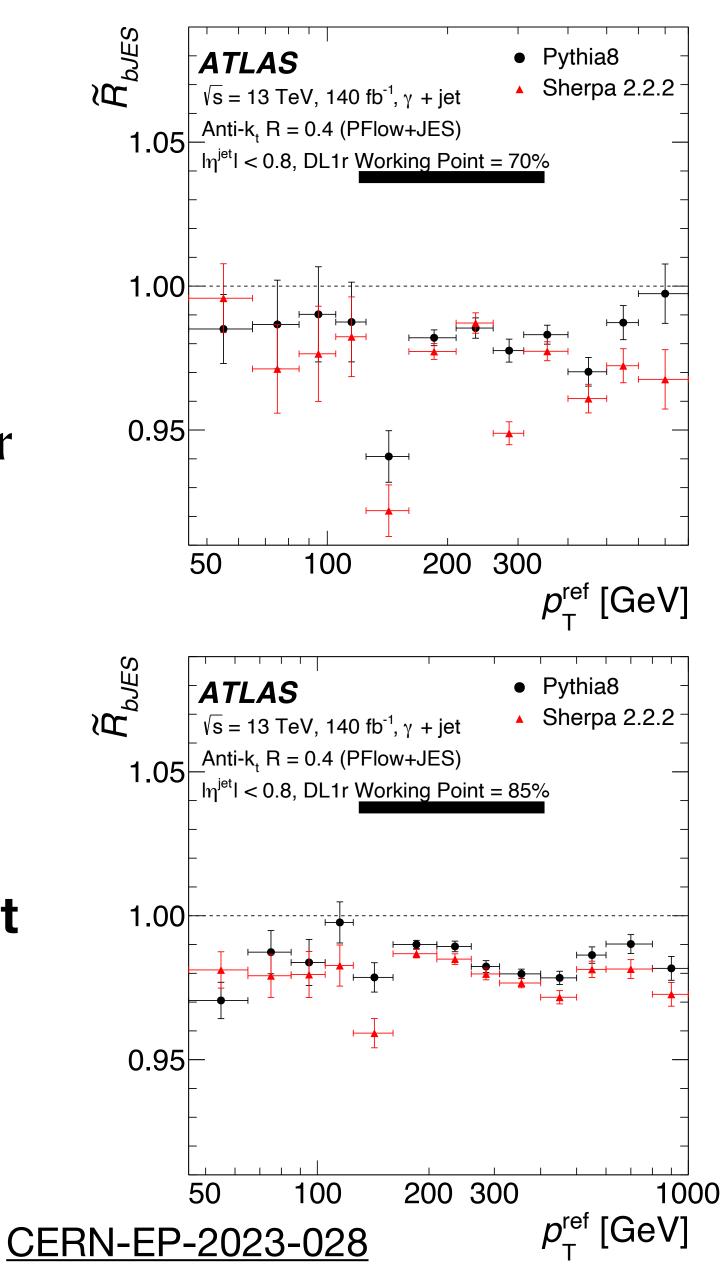
Higher efficiency -> Looser cut and lower background rejection (allowing more events through) ->

 $= \frac{R_{b-tagged}^{MC}}{R_{inclusive}^{MC}} / \frac{R_{b-tagged}^{data}}{R_{inclusive}^{MC}} / \frac{R_{b-tagged}^{data}}{R_{inclusive}^{data}}$ \tilde{R}_{bJES}

- Energy scale determined for the b-jets with respect to inclusive jets for 4 working points: 60%, 70%, 77%, and 85% b-jet efficiencies.
- The energy scale for b-jets is underestimated by ~1% to ~3.5% depending on the efficiency and MC generator.

- In-situ measurements of the bJES will improve precision of important analyses.
- Also trying to improve b-fragmentation modelling in MCs with dedicated measurements of b-fragmentation. [arXiv:2108.11650]

bJES with γ +jet events



Results

- Jets are used in almost all analyses in ATLAS and so extremely important to calibrate best as possible for more accurate results overall.
- JES has to keep up with advances in technology with higher luminosity. New techniques must be constantly developed to keep up with the higher statistics.
- Reduction of uncertainty of area-based pile-up correction by a factor of nearly 7.
- New 3D residual pile-up correction reduces pile-up dependence.
- Better closure in MCJES for new p-spline fitting method.
- Global calibration new GNNC technique improves p_T resolution, and flavour uncertainties.
- MC modelling uncertainty decreased by a factor of 2 in η -intercalibration.
- First time in-situ bJES performance in γ+jet events, finds a discrepancy in the MC-to-data ratio between b-jets and inclusive jets.

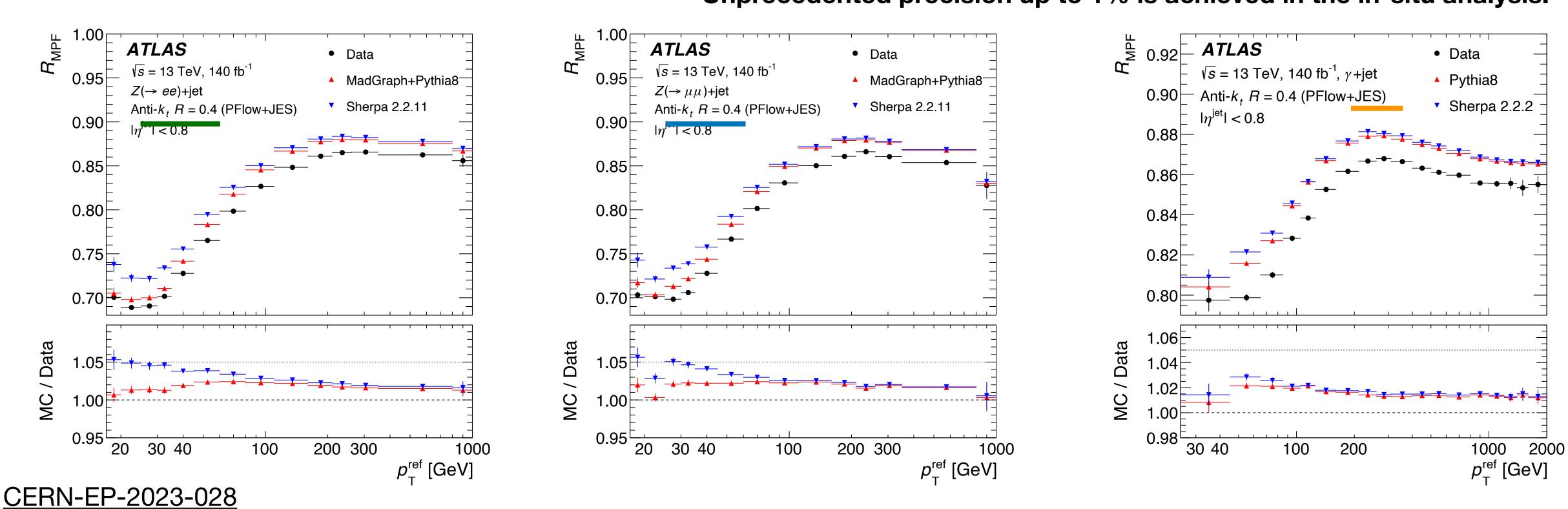
BACKUP **Definitions**

- N_{PV} number of reconstructed primary vertices in an event.
- μ (in pile-up) interactions per bunch crossing.
- E_{reco} energy of the reconstructed jet.
- E_{true} the energy of the particle-level jet.
- η_{det} the jet η which points from the geometric centre of the detector.

• z_0 - the distance of closest approach to the hard-scatter primary vertex along the z-axis.

The reference Z/γ object is balanced against the whole hadronic recoil in the event using the MPF technique.

 $R_{MPF} = <1 + \frac{\hat{n}_{ref} \cdot \vec{E}_T^{miss}}{p_T^{ref}} >$



Z/γ +jet balance

Z+jet(ee) JES is overestimated in MC by ~1-5%.

Z+jet($\mu\mu$) JES is overestimated in MC by ~1-5%.

 γ +jet JES is overestimated in MC by ~1-3%.

Unprecedented precision up to 1% is achieved in the in-situ analysis.

Backup **Anti-kt Algorithm**

- i and j and between the object i and beam B, d_{iB} .
- The distance measures for the anti-kt algorithm are calculated as:

$$d_{ij} = mi$$

Where $\Delta_{ij}^2 = (y_i - y_j)^2 + (\phi_i - \phi_j)^2$ and k_{ii} , y_i and ϕ_i are the transverse momentum, rapidity, and azimuthal angle of particle i respectively.

- d_{iB} , i is called a jet and it is removed from the list of objects.
- This is repeated until there are no objects left.

• The anti-kt algorithm is a jet clustering algorithm. It lies in the definition of distance measures, d_{ij} , between objects

$$in(k_{ti}^{-2}, k_{tj}^{-2}) \frac{\Delta_{ij}^2}{R^2}$$

 $d_{iB} = k_{ti}^{-2}$

• The clustering identifies the smallest of the distances and if it is d_{ij} , the objects i and j and combined, while if it is

JHEP 0804:063 (2008)

Backup **Particle Flow Jets**

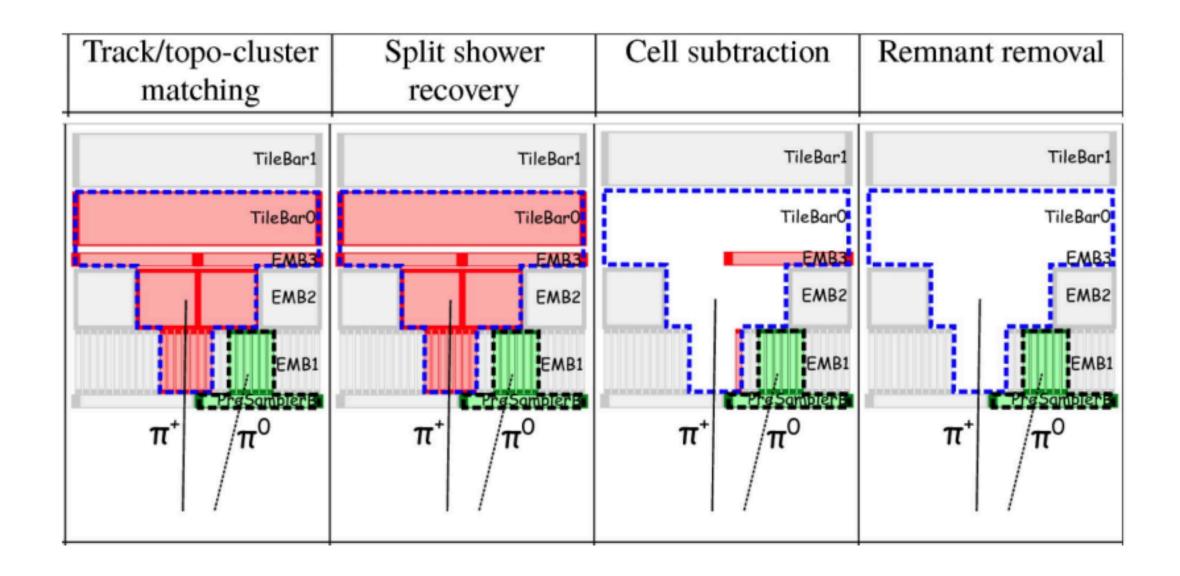
Tracker allows for association to the primary vertex

• Particle-Flow (PFlow) jets are reconstructed by combining track- and calorimeter-based measurements.

Uses the expected energy depositions of single particles to determine contributions of individual tracks to clusters.

Cell-based subtraction prevents double-counting of energy.

• This all leads to improved jet energy, mass resolution and pile-up stability.



Eur. Phys. J. C 77. 466 (2017)

GSC Inputs

The six stages of the GSC, in the order of application, are

- f_{charged} : the fraction of the jet p_{T} measured from ghost-associated tracks with $p_{\text{T}} > 500$ MeV, $|n^{\rm det}| < 2.5,$
- f_{Tile0} : the fraction of jet energy (E_{frac}) measured in the first layer of the hadronic tile calorimeter, $|\eta^{\rm det}| < 1.8$,
- f_{LAr3} : the E_{frac} measured in the third layer of the electromagnetic LAr calorimeter, $|\eta^{det}| < 3.5$,
- N_{track} : the number of tracks with $p_T > 1$ GeV ghost-associated with the jet, $|\eta^{\text{det}}| < 2.5$,
- w_{track} : also known as track width, the average p_{T} -weighted transverse distance in the η - ϕ plane, between the jet axis and all tracks of $p_T > 1$ GeV ghost-associated with the jet, $|\eta^{det}| < 2.5$,
- N_{segments} : the number of muon track segments ghost-associated with the jet, $|\eta^{\text{det}}| < 2.8$.

Eur. Phys. J. C 81. 689 (2021)

GNNC Inputs

Calorimeter	$f_{\text{LAr0-3*}}$	The E_{frac} measu
	$f_{\text{Tile0}*-2}$	The E_{frac} measu
	$f_{\rm HEC,0-3}$	The E_{frac} measu
		calorimeter
	$f_{\rm FCAL,0-2}$	The E_{frac} measu
	$N_{90\%}$	The minimum r
Jet kinematics	$p_{\rm T}^{\rm JES}$ *	The jet $p_{\rm T}$ after
	$\eta^{ ext{det}}$	The detector η
Tracking	w_{track}^*	The average $p_{\rm T}$
		between the jet
		with the jet
	$N_{\text{track}}*$	The number of
	$N_{ m track}*$ $f_{ m charged}*$	The fraction of
Muon segments	$N_{\text{segments}}*$	The number of
Pileup	μ	The average nu
	$N_{\rm PV}$	The number of

Table 1: List of variables used as input to the GNNC. Variables with a * correspond to those that are also used by the GSC.

ured in the 0th-3rd layer of the EM LAr calorimeter ured in the 0th-2nd layer of the hadronic tile calorimeter ured in the 0th-3rd layer of the hadronic end cap

ured in the 0th-2nd layer of the forward calorimeter number of clusters containing 90% of the jet energy. r the MCJES calibration

-weighted transverse distance in the η - ϕ plane axis and all tracks of $p_{\rm T} > 1$ GeV ghost-associated

tracks with $p_{\rm T} > 1$ GeV ghost-associated with the jet the jet $p_{\rm T}$ measured from ghost-associated tracks muon track segments ghost-associated with the jet mber of interactions per bunch crossing reconstructed primary vertices

Link to new paper if out by the time I give the talk.