

# Exciting Ions: Ultraperipheral Heavy Ion Collisions with Nuclear Breakup

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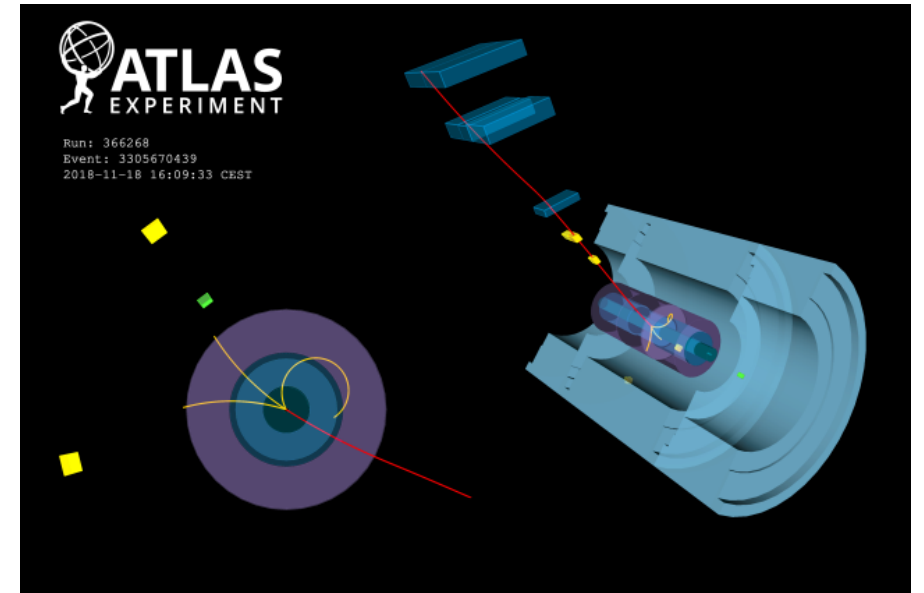
DIS 2023, MSU, 29 March 2023

LHL, arXiv:2303.04826

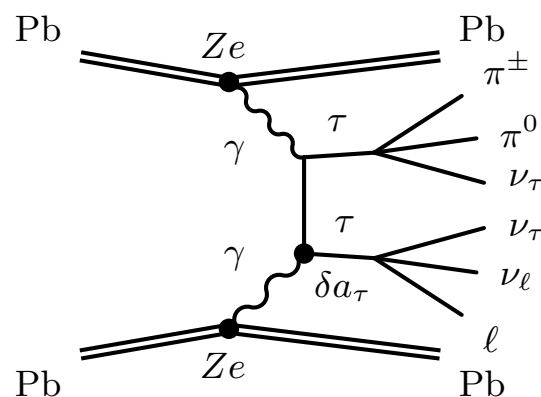


# Motivation

- **Ultrapерipheral** photon-initiated production: colour singlet photon naturally leads to events with intact ions/low multiplicity in final state.
- **Clean** production mechanism and BSM probe.



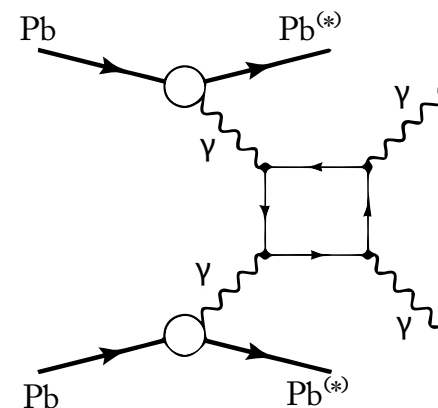
**tau g-2**



**L. Beresford and J. Liu, PRD 102 (2020) 11, 113008**

**M. Dyndal et al., PLB 809 (2020) 135682**

**LbyL scattering/ALPS**



**C. Baldenegro et al, JHEP 06 (2018) 131, S. Knapen et al, PRL 118 (2017) 17, 171801, D. d'Enterria, G. da Silveira, PRL 116 (2016) 12**

$\Rightarrow$  The LHC as a  $\gamma\gamma$  collider!

# SuperChic 4.2

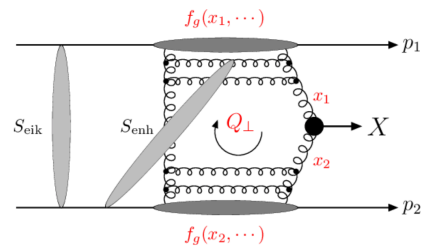
- A MC event generator for CEP processes. **Common platform** for:
  - QCD-induced CEP.
  - Photoproduction.
  - Photon-photon induced CEP.
- For **pp**, **pA** and **AA** collisions. Weighted/unweighted events (LHE, HEPMC) available- can interface to Pythia/HERWIG etc as required.
- In heavy ions, currently implemented of most relevance:
  - Lepton pairs.
  - LbyL scattering.
  - ALPs.
  - Monopoles
- But open to collaboration/discussion for including other channels!

superchic is hosted by Hepforge, IPPP Durham

### SuperChic 4 - A Monte Carlo for Central Exclusive and Photon-Initiated Production

- [Home](#)
- [Code](#)
- [References](#)
- [Contact](#)

SuperChic is a Fortran based Monte Carlo event generator for exclusive and photon-initiated production in proton and heavy ion collisions. A range of Standard Model final states are implemented, in most cases with spin correlations where relevant, and a fully differential treatment of the soft survival factor is given. Arbitrary user-defined histograms and cuts may be made, as well as unweighted events in the HEPEVT, HEPMC and LHE formats. For further information see the [user manual](#).



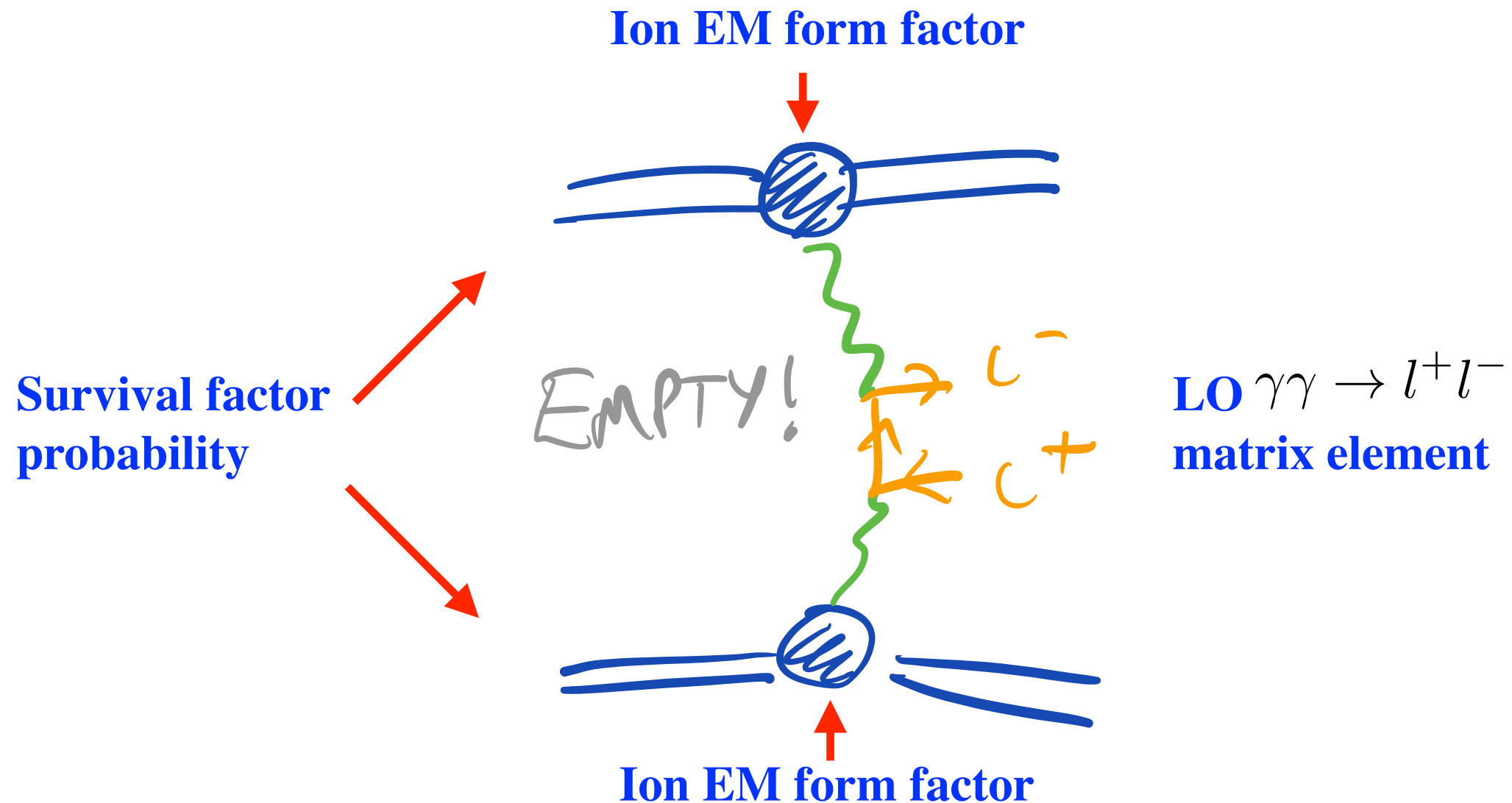
A list of references can be found [here](#) and the code is available [here](#).

Comments to Lucian Harland-Lang < [lucian.harland-lang@physics.ox.ac.uk](mailto:lucian.harland-lang@physics.ox.ac.uk) >.

<https://superchic.hepforge.org>

# UPCs

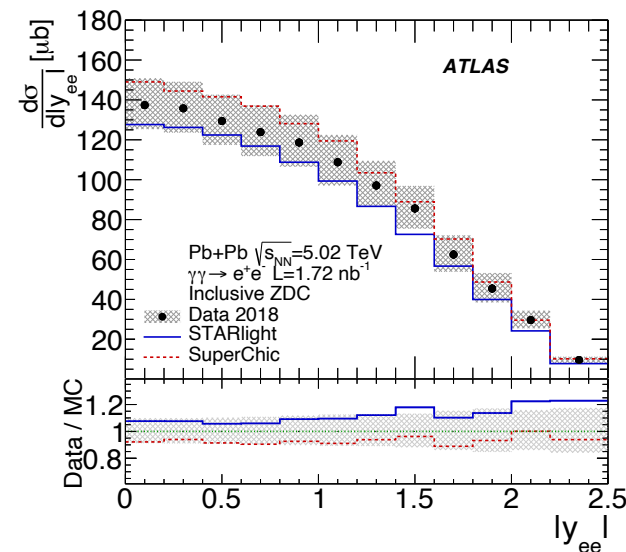
- Consider e.g. lepton pair production. Key ingredients in **SC 4.2**:



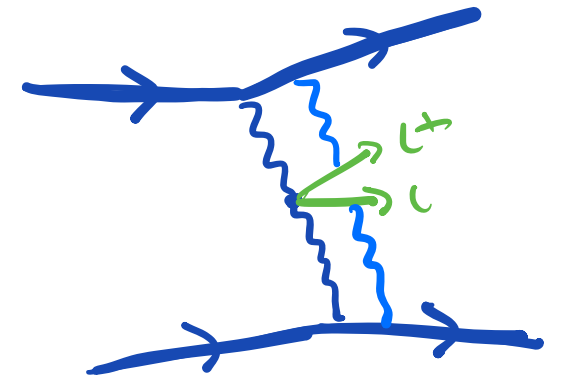
- Provides leading prediction for elastic process:  $\text{PbPb} \rightarrow \text{Pb} + l^+l^- + \text{Pb}$
- What else is missing?



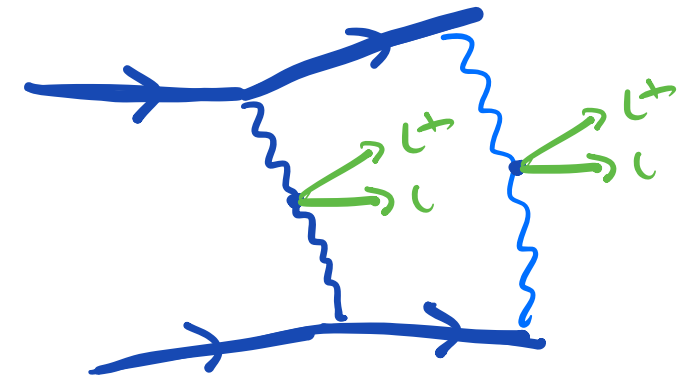
- ★ Higher order QED effects: some indication this might improve description of  $l^+l^-$  data.



Multiple scattering

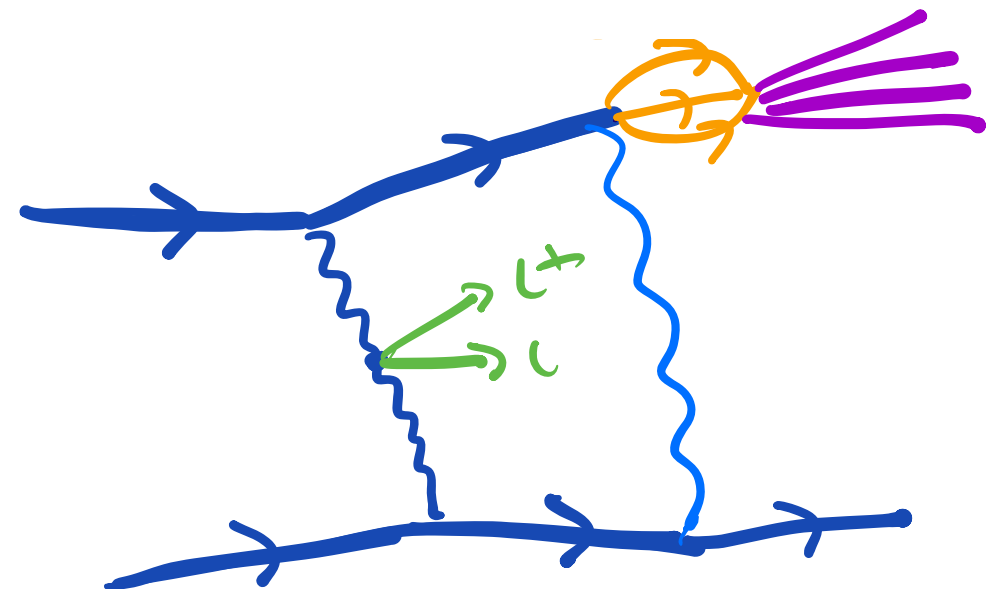


Unitary Corrections



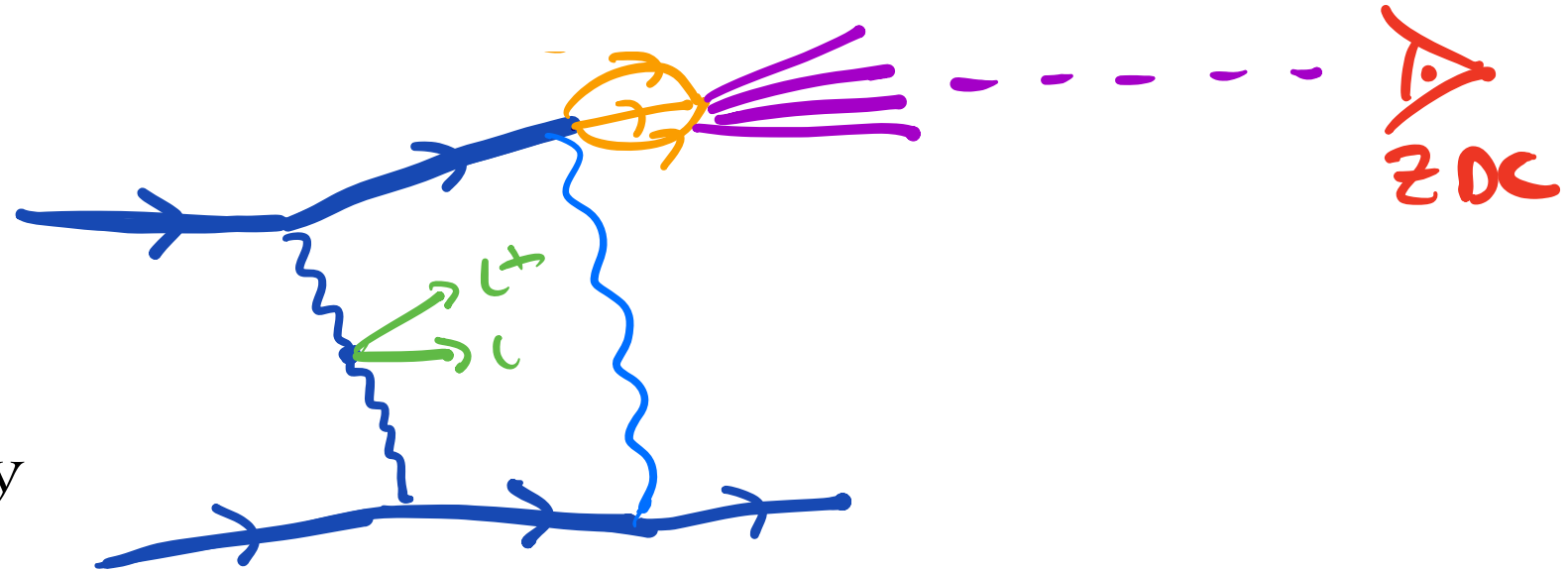
Not Focus of this talk, but not to be ignored!

- ★ Focus here: ions can interact via additional QED exchanges and dissociate.
- ★ Accounted for in range of studies, but not complete MC treatment available (until now).

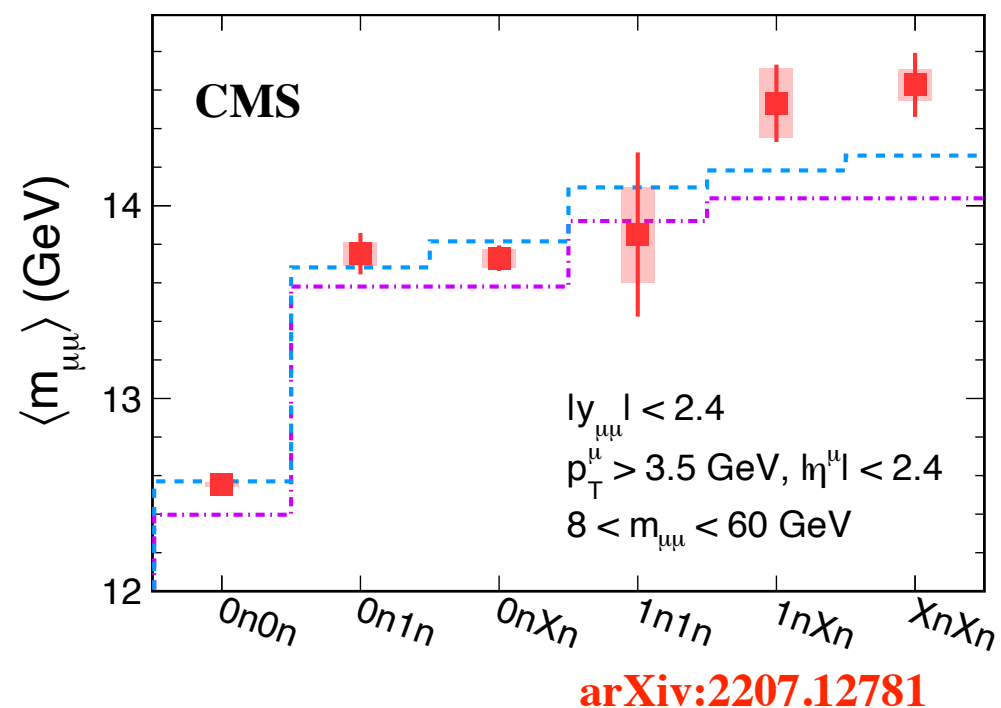
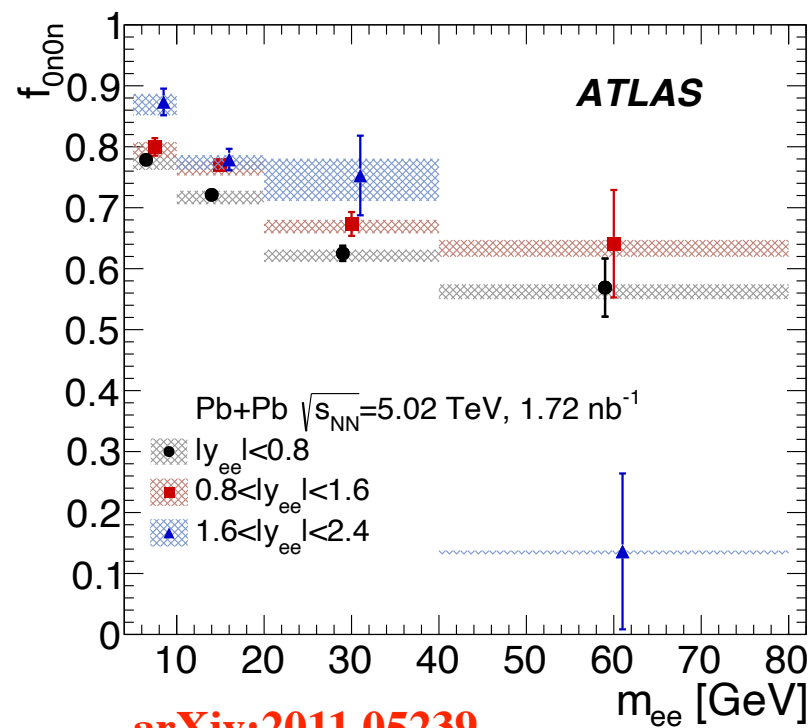


# Mutual Ion Dissociation

- ★ This dissociation leads to additional boosted neutron production: can be measured by Zero Degree Calorimeters.



- ★ As we will see, dilepton distributions also affected. Important to account for!



# **Modelling UPCs with Mutual Ion Dissociation**

# Modelling UPCs

$$b_{\perp} \gg r_{\text{QCD}}$$

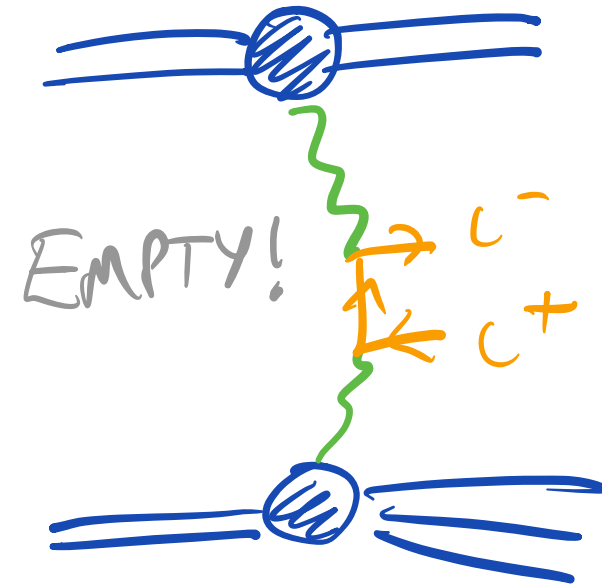
- Basic idea: for UPCs ion-ion impact parameter  $\gg$  range of QCD  $\Rightarrow$  pure QED interaction.

- Consider e.g. lepton pair production.

Key ingredients:

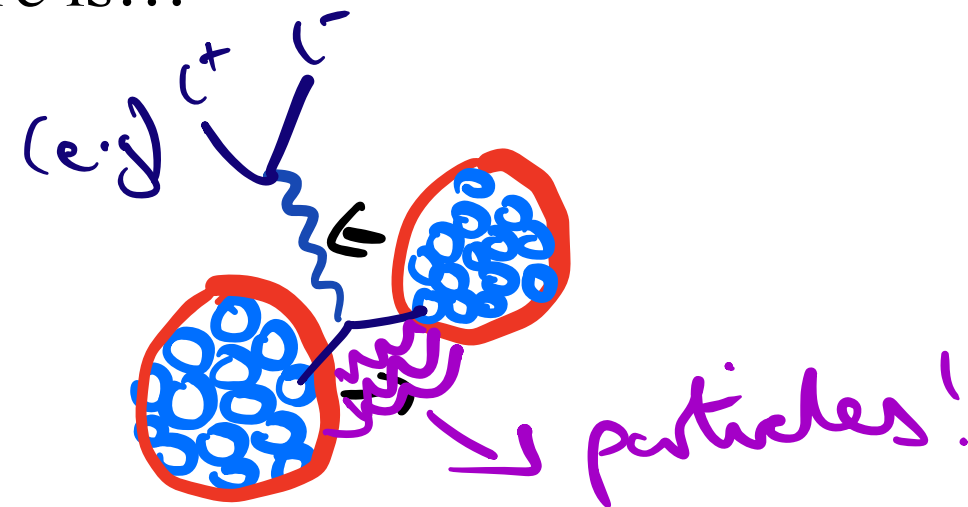
★  $\gamma\gamma \rightarrow l^+l^-$  matrix element.

★ Ion EM form factor.



- Both well understood ✓. However not all there is...

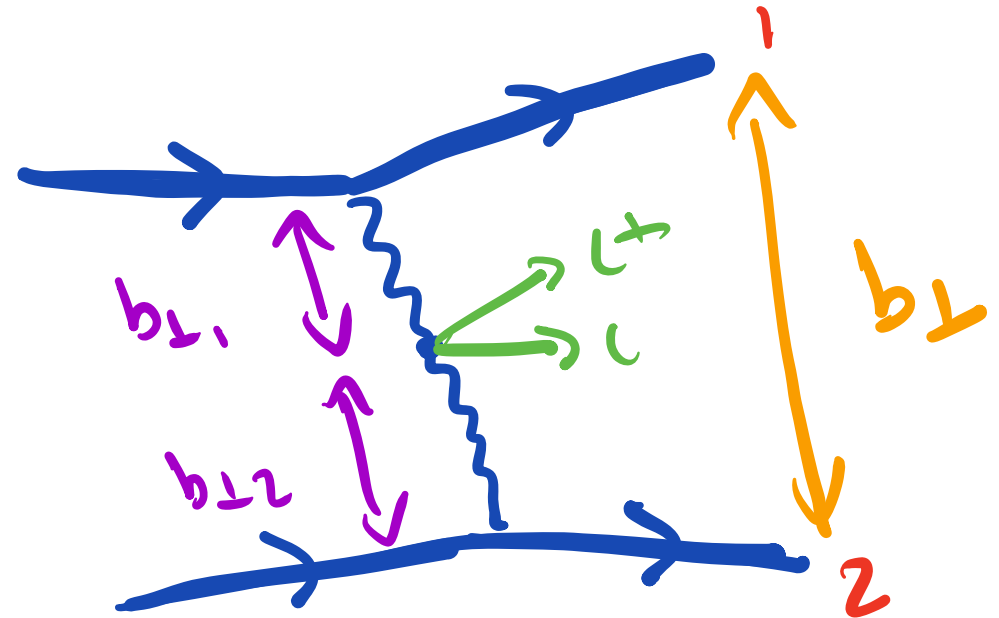
- If  $b_{\perp} \sim 2R_A$  additional strong ion-ion interactions cannot be ignored.



# The Survival Factor

- Survival factor: probability of no additional strong ion-ion interactions.

- How do we calculate survival factor?  
Simplest if we consider collision in terms of ion-ion impact parameter.



- Can write cross section as integral over  $b_{(1,2)\perp}$

$$d\sigma = \int d^2b_{1\perp} d^2b_{2\perp} |\tilde{T}(b_{1\perp}, b_{2\perp})|^2 .$$

**Amplitude for  $l^+l^-$  production in  $b_{\perp}$  space.**

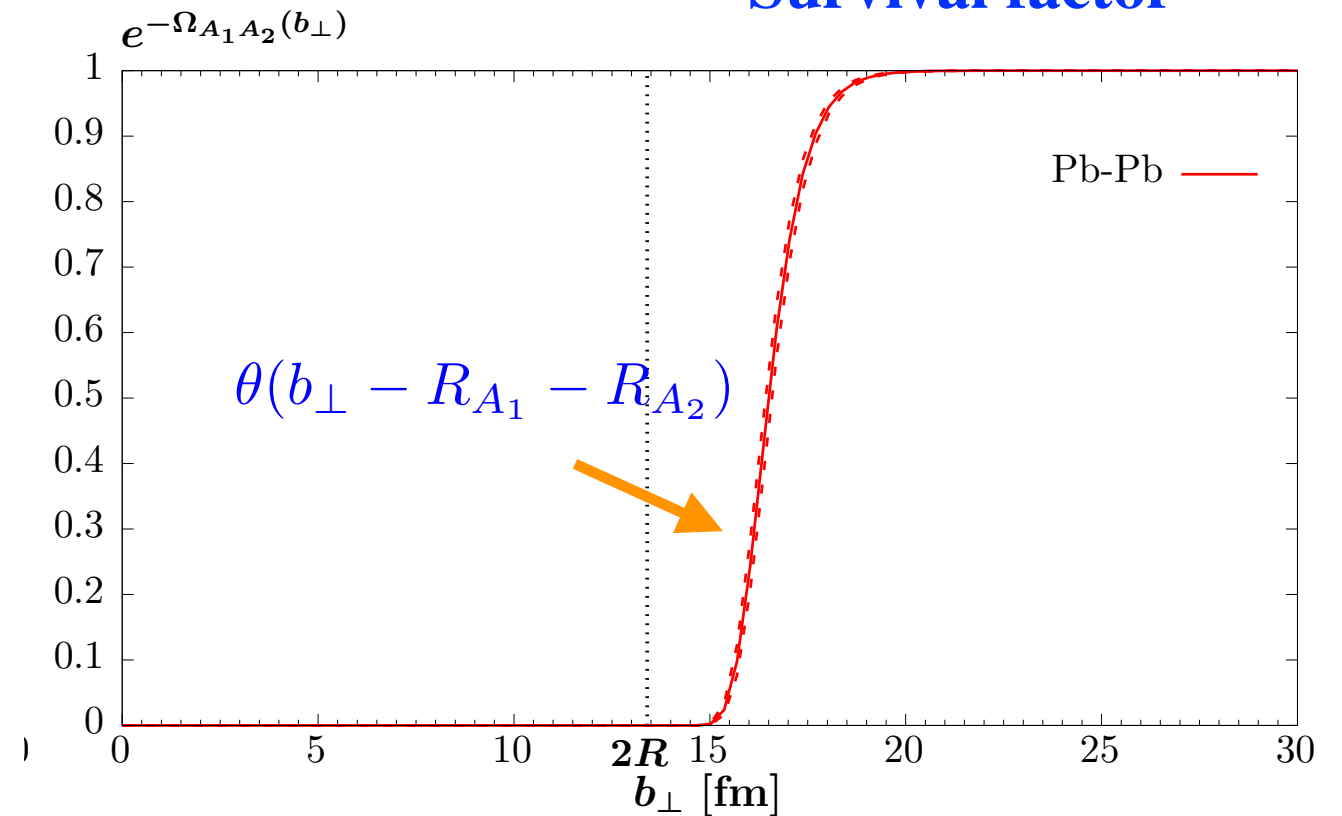
- To first approximation survival factor included by requiring in integral:

$$b_{\perp} > R_{A_1} + R_{A_2}$$

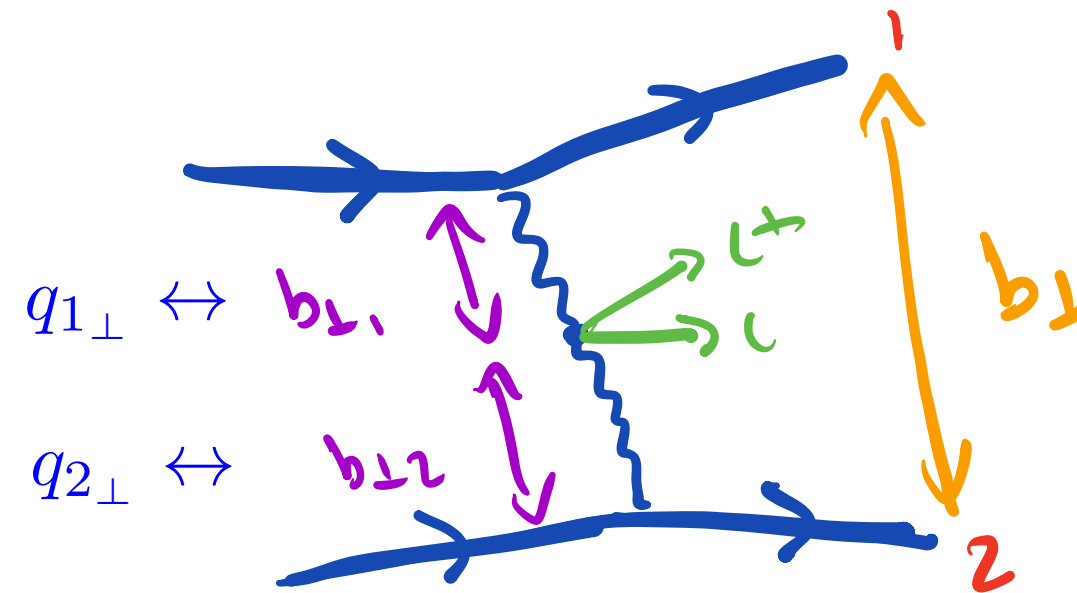
$$d\sigma_{S^2} = \int d^2b_{1\perp} d^2b_{2\perp} |\tilde{T}(b_{1\perp}, b_{2\perp})|^2 e^{-\Omega_{A_1 A_2}(b_{\perp})}$$

**Survival factor**

- More precisely can account for finite ion extent and non-zero range of QCD.



- Key point: impact parameters  $b_{i\perp}$  and photon  $q_{i\perp}$  are Fourier Conjugates.
- Survival factor  $\rightarrow$  photon  $q_{i\perp} \rightarrow$  dilepton kinematic distributions (backup).



# Mutual Ion Dissociation

- Account for this again in impact parameter space:

$$d\sigma_{X_1 X_2} = \int d^2 b_{1\perp} d^2 b_{2\perp} d\sigma_{S^2} P_{X_1 X_2}(s, b_\perp) ,$$

where  $P_{X_1 X_2}$  is the ion breakup probability, given in terms of factorized probabilities:

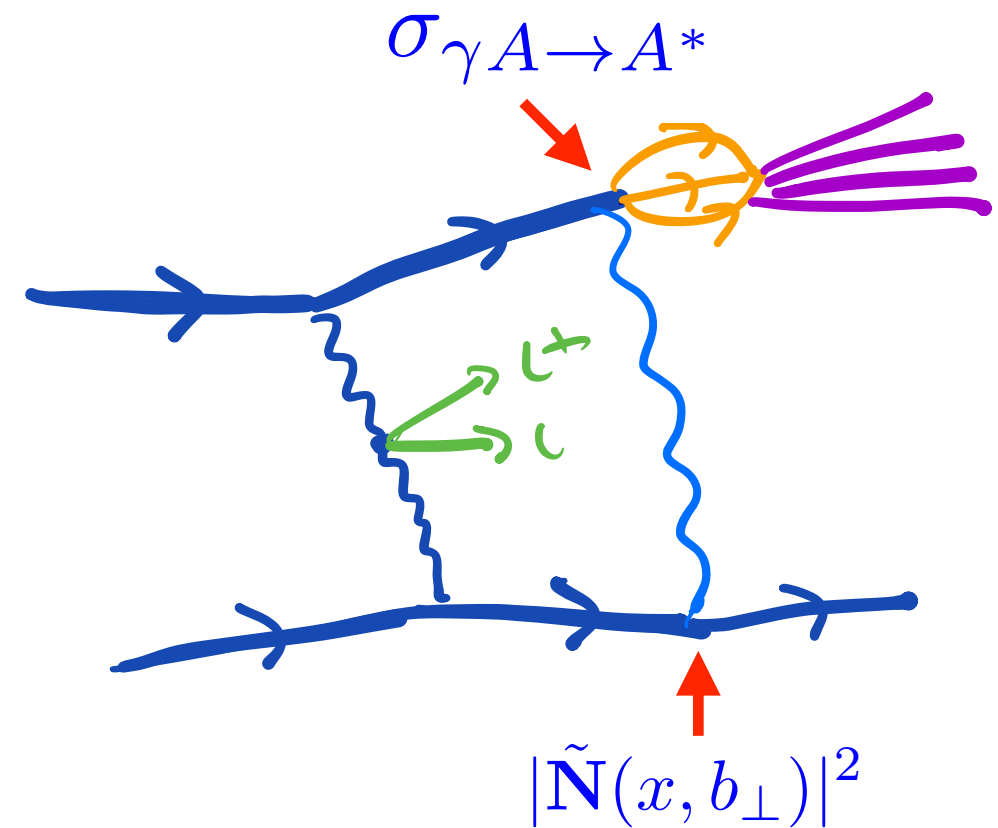
$$P_{X_1 X_2}(b_\perp) = P_{X_1}(b_\perp) P_{X_2}(b_\perp) .$$

- Individual probability given in terms of:

$$P_{Xn}^1(b_\perp) = \int \frac{d\omega}{\omega} |\tilde{\mathbf{N}}(x, b_\perp)|^2 \sigma_{\gamma A \rightarrow A^*}(\omega) ,$$

$\gamma A \rightarrow \gamma A$  flux

$\gamma A \rightarrow A^*$  cross section



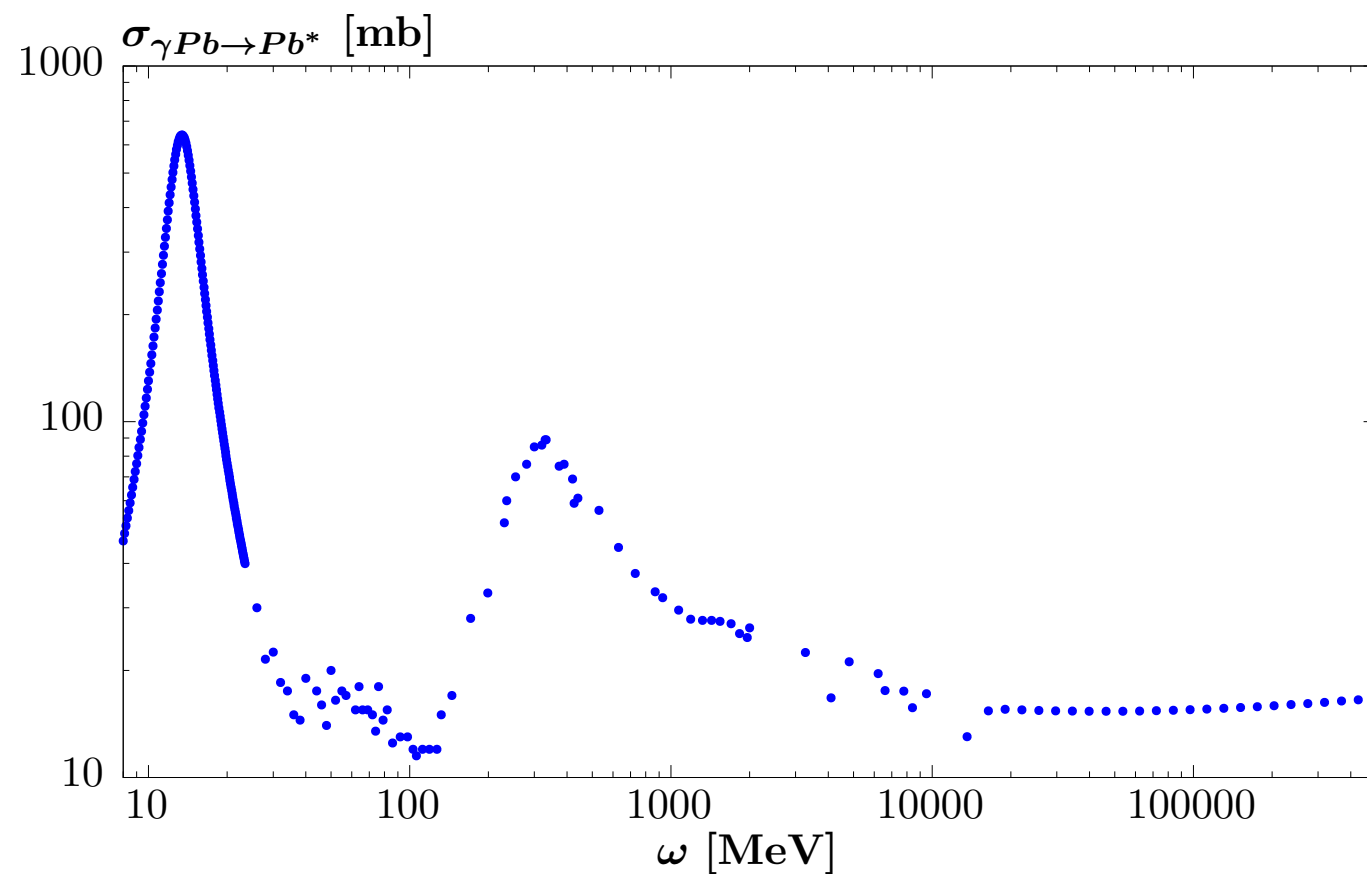
$$P_{Xn}^1(b_{\perp}) = \int \frac{d\omega}{\omega} |\tilde{\mathbf{N}}(x, b_{\perp})|^2 \sigma_{\gamma A \rightarrow A^*}(\omega) ,$$

$\gamma A \rightarrow \gamma A$  flux

$\gamma A \rightarrow A^*$  cross section

$\gamma A \rightarrow \gamma A$  flux : given as usual in terms of well known ion EM form factor.

$\gamma A \rightarrow A^*$  cross section : taken from a range of  $\gamma A$  and  $\gamma n$  scattering data.



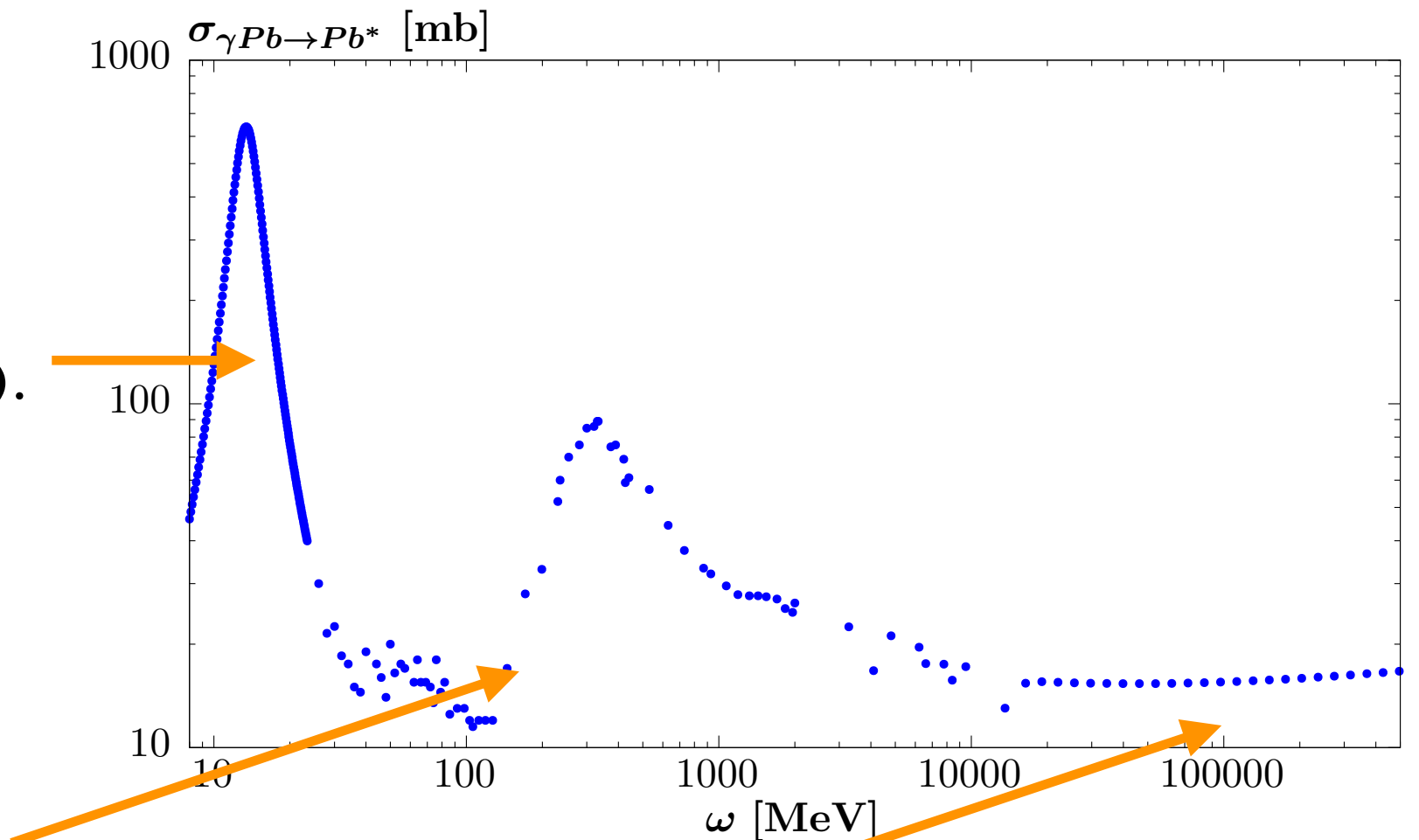
See e.g. S. R. Klein et al., *Comput. Phys. Commun.* **212**, 258 (2017)



Data covers a range of photon energies  $\omega$  , taken from range of experiments:

★  $\omega \lesssim 23 \text{ MeV}$  : ‘Giant Dipole Resonance’ (GDR).  
In production dominant.

★  $23 \text{ MeV} \lesssim \omega \lesssim 16 \text{ GeV}$  :  
Higher excitations. Range  
of direct data available.



★  $\omega \gtrsim 16 \text{ GeV}$  : data runs  
out. Use Regge Fit:

$$\sigma_{\gamma A} = A \cdot R_{\text{shad}} \cdot \sigma_{\gamma n}$$

$$\sigma_{\gamma n} \propto s_{\gamma A}^{\delta}$$

- Biggest uncertainty from the high energy region. No direction data and  $\sim 25\%$  of the cross section comes from it!
- For  $\omega$  sufficiently high  $y_{\gamma n}$  starts to enter into central detector  $\Rightarrow$  may not pass exclusivity veto. We cut at  $\omega < 500 \text{ GeV}$  above which  $15\%$  of  $\sigma_{\gamma A}$ .

# Kinematic Dependence

- Survival factor and kinematic impact accounted for using

$$T_{S^2}(q_{1\perp}, q_{2\perp}) = \frac{1}{(2\pi)^2} \int d^2b_{1\perp} d^2b_{2\perp} e^{i\mathbf{q}_{1\perp} \cdot \mathbf{b}_{1\perp}} e^{-i\mathbf{q}_{2\perp} \cdot \mathbf{b}_{2\perp}} \tilde{T}(b_{1\perp}, b_{2\perp})$$

**Transverse momentum**

**Impact parameter**

with:  $\tilde{T}(b_{1\perp}, b_{2\perp}) \rightarrow \tilde{T}(b_{1\perp}, b_{2\perp}) \Gamma_{A_1 A_2}(s, b_{\perp})^{1/2}$  ,  $\Gamma_{A_1 A_2}(s, b_{\perp}) \equiv \exp(-\Omega_{A_1 A_2}(s, b_{\perp}))$  .

**Survival Factor**

- Ion dissociation accounted for in the same way. But now with:

$$\Gamma_{A_1 A_2}(s, b_{\perp})^{1/2} \rightarrow [\Gamma_{A_1 A_2}(s, b_{\perp}) P_{X_1 X_2}(b_{\perp})]^{1/2} ,$$

- This then automatically accounts for kinematic dependence:

★ Ion dissociation  $\rightarrow$  photon  $q_{i\perp} \rightarrow$   
dilepton kinematic distributions.

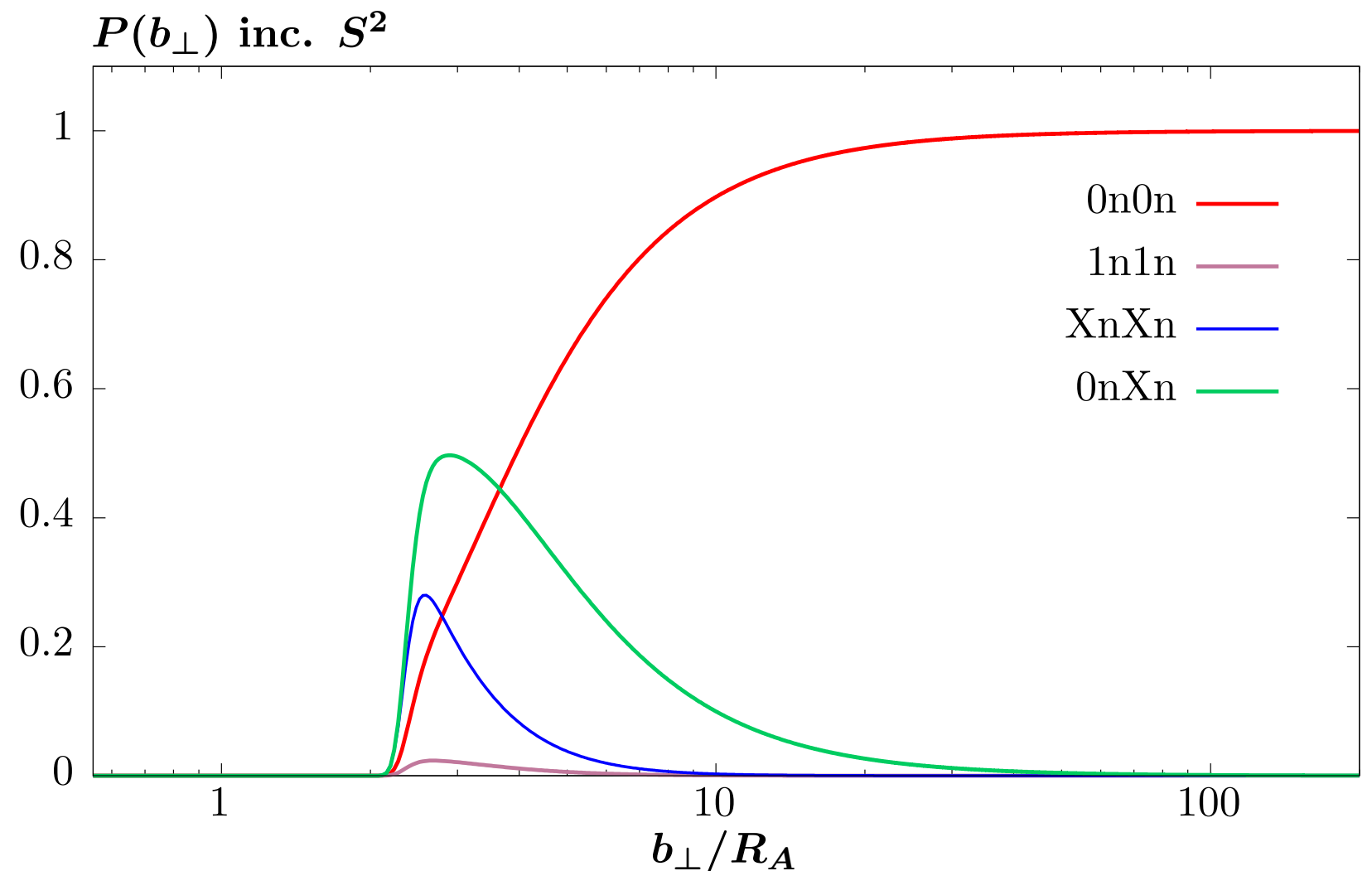
# General Expectations

$$P_{X_1 X_2}(b_\perp) = P_{X_1}(b_\perp) P_{X_2}(b_\perp) .$$

- Look at dissociation probabilities for different neutron tags.
- Basic point: dissociation is peaked towards lower  $b_\perp$  :  $P_{X_n}(b_\perp) \sim \frac{1}{b_\perp^2}$
- 0n veto (  $\sim 1 - P_{X_n}(b_\perp)$  \*) then peaked to larger  $b_\perp$  .

- Larger  $q_\perp^{ll} \Rightarrow$  more dissociation.
- Larger  $m_{ll} \Rightarrow$  more dissociation.

$$Q_i^2 = \frac{q_{i\perp}^2 + x_i^2 m_{A_i}^2}{1 - x_i}$$



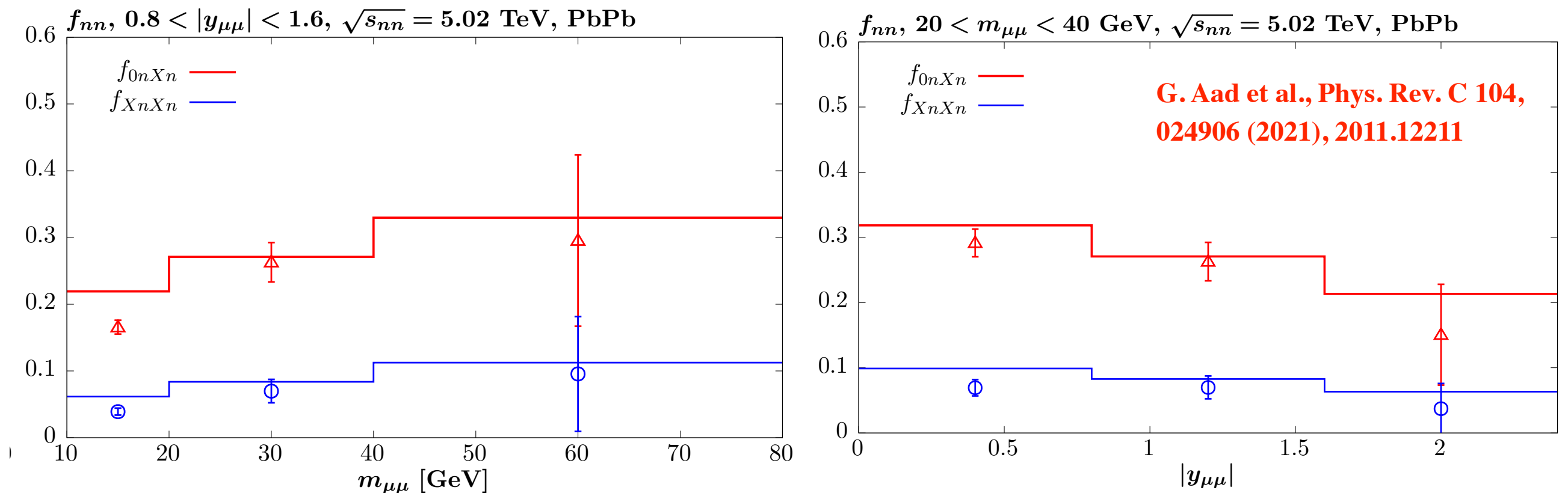
\*To be precise account for unitarity (backup)

# Comparison to data

# ATLAS

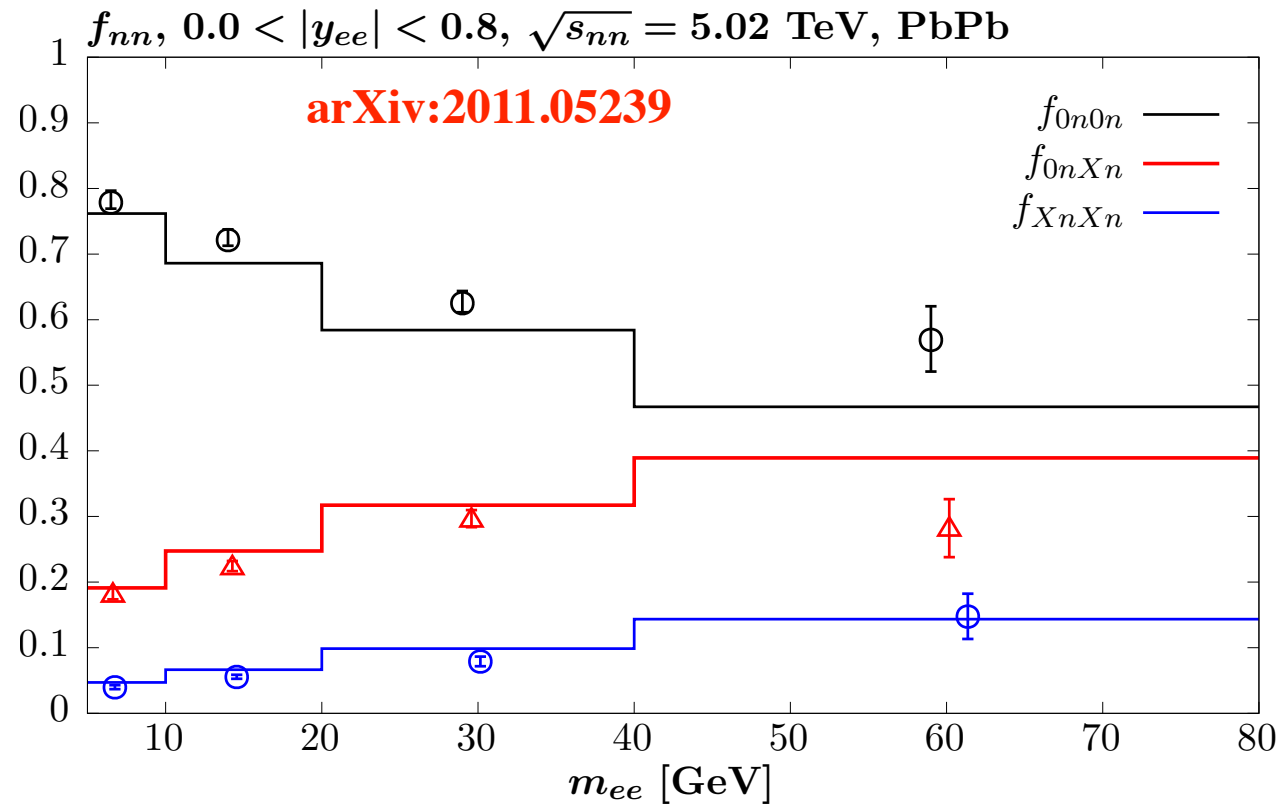
- ATLAS have measured dilepton ( $e, \mu$ ) UPCs for range of neutron tags, in terms of neutron tagged event fractions ( $f_{0n0n\dots}$ ).

★ Dimuon data:

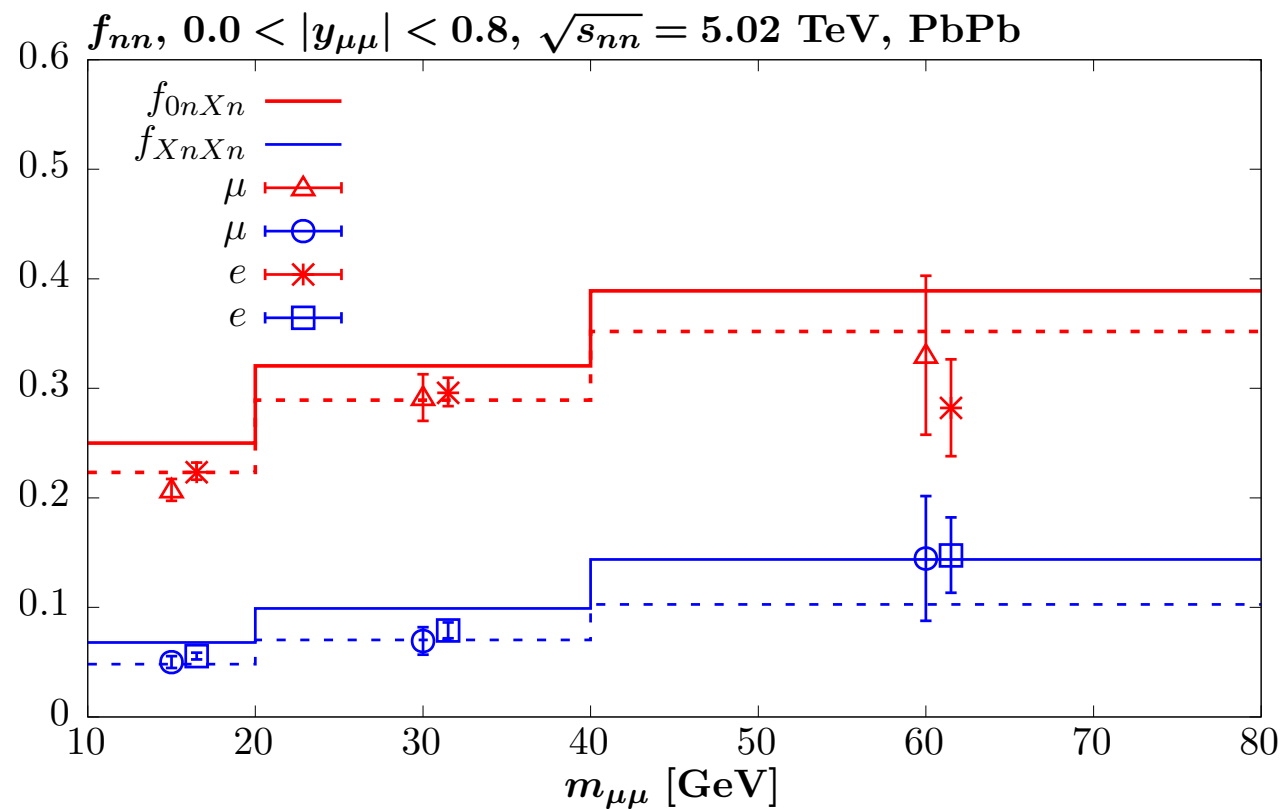


- Fractions show clear kinematic dependence, in line with expectations.
- Data/theory agreement in general encouraging, with some excess in lowest  $m_{ll}$  bin.

## ★ Dielectron data:



- Basic trends again as expected, and matched by data.
- Quantitative agreement reasonable, with some difference in detail.

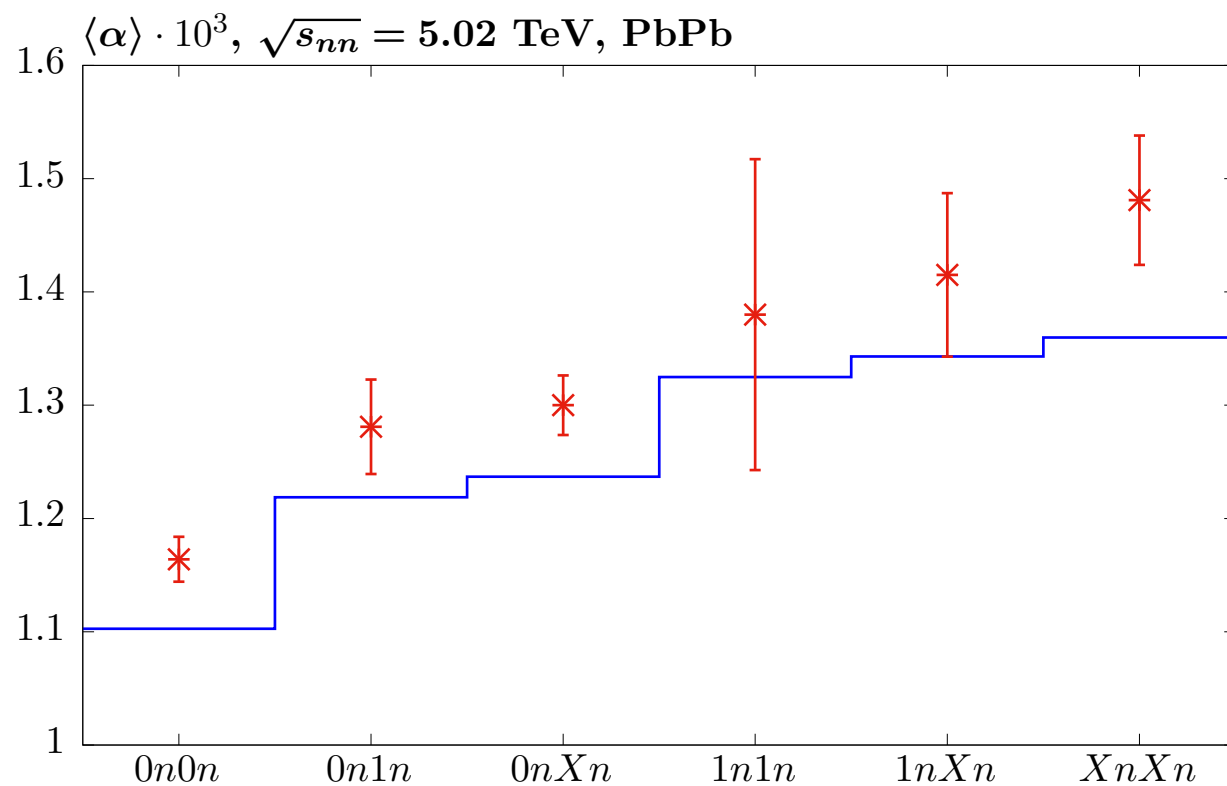


- Only with default prediction: there are uncertainties in  $\sigma_{\gamma A}$ .
- Tuning down by  $\sim 20\%$  gives better agreement. Available as flag in MC.

# CMS

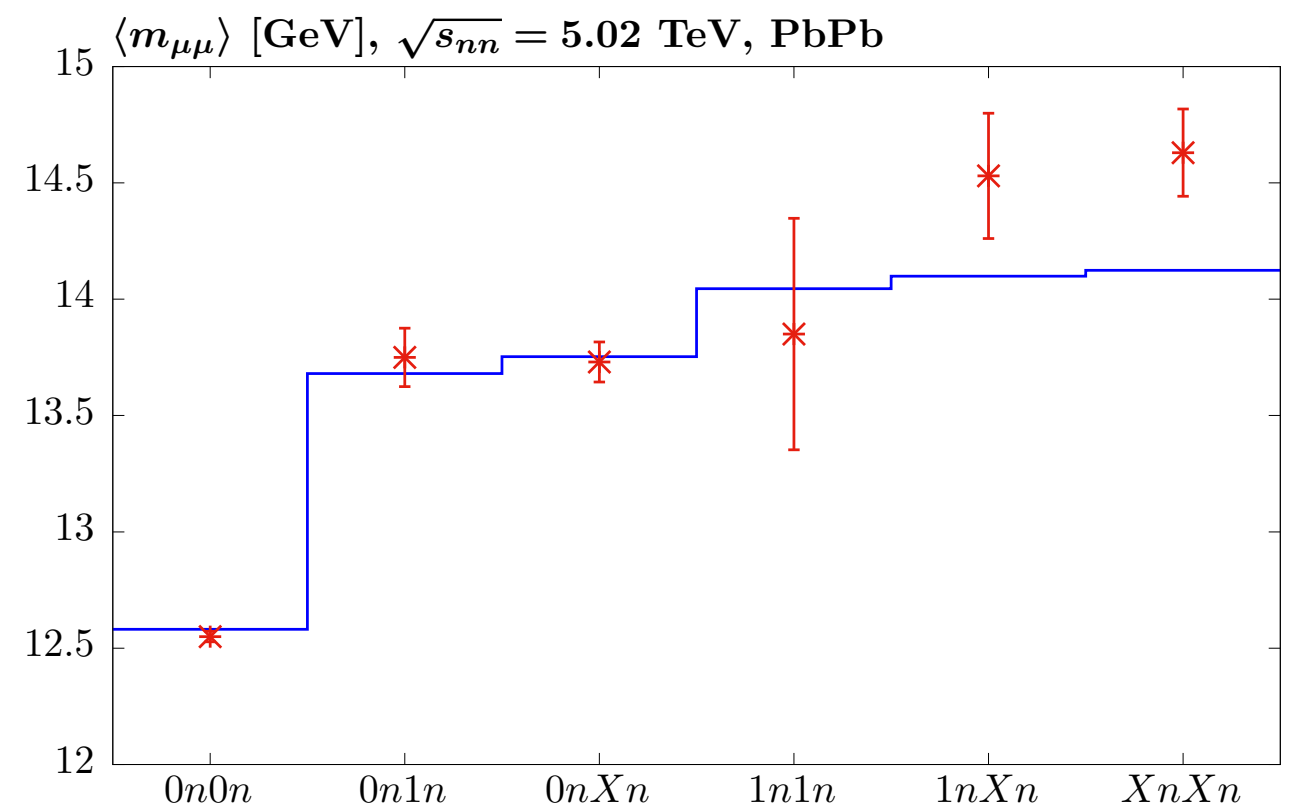
★ Dimuon acoplanarity distributions measured for range of neutron tags, fit in region where LO UPC mechanism dominates.

$$\alpha = 1 - \frac{\Delta\phi_{\mu\mu}}{\pi}$$



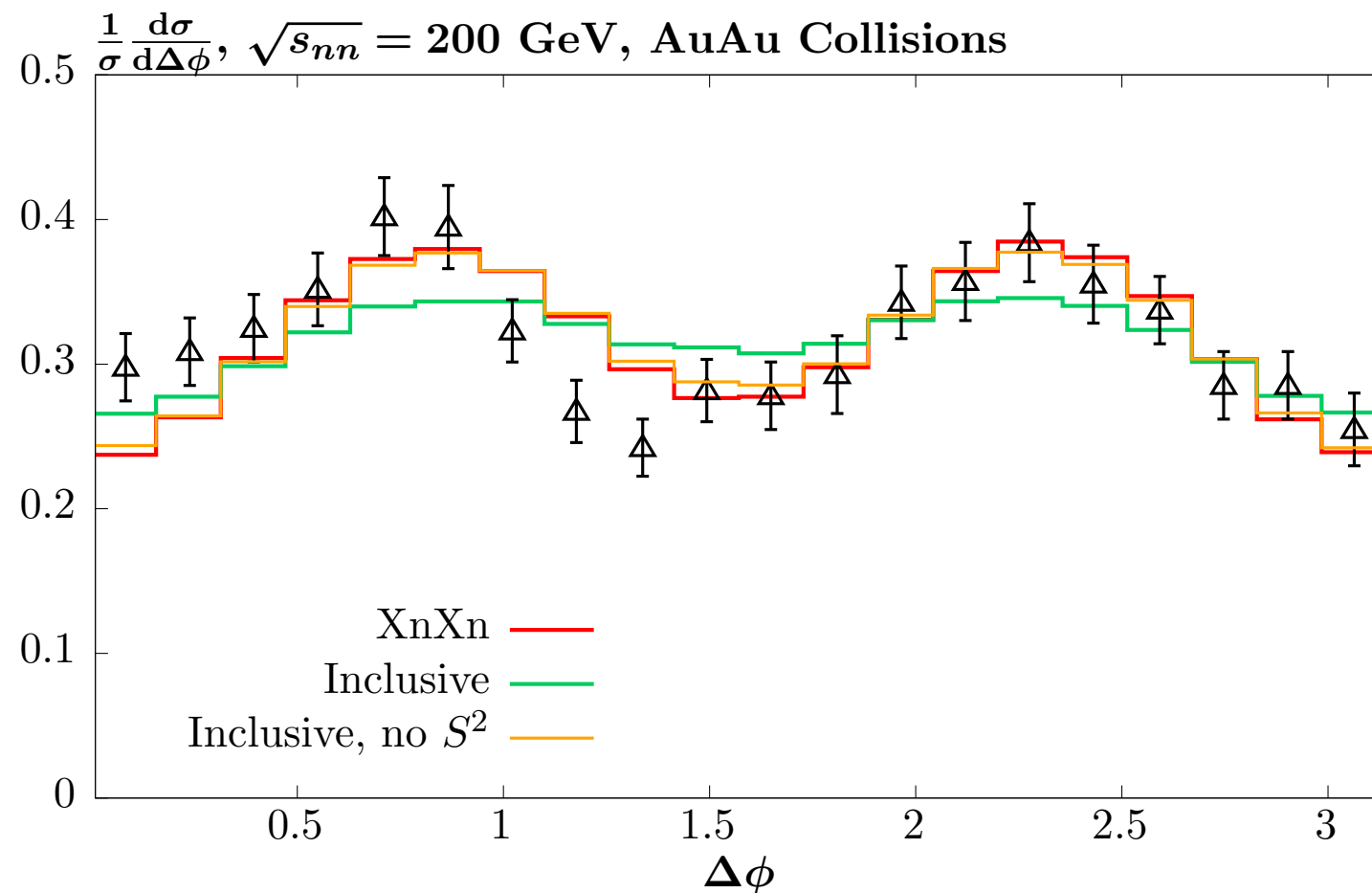
- Increase in  $\langle\alpha\rangle$  with dissociation as expected, and matched by data.
- Some theory/data excess. Evidence due to FSR (backup).

- Increase in  $\langle m_{\mu\mu} \rangle$  with dissociation as expected, and matched by data.
- Data/theory agreement good!



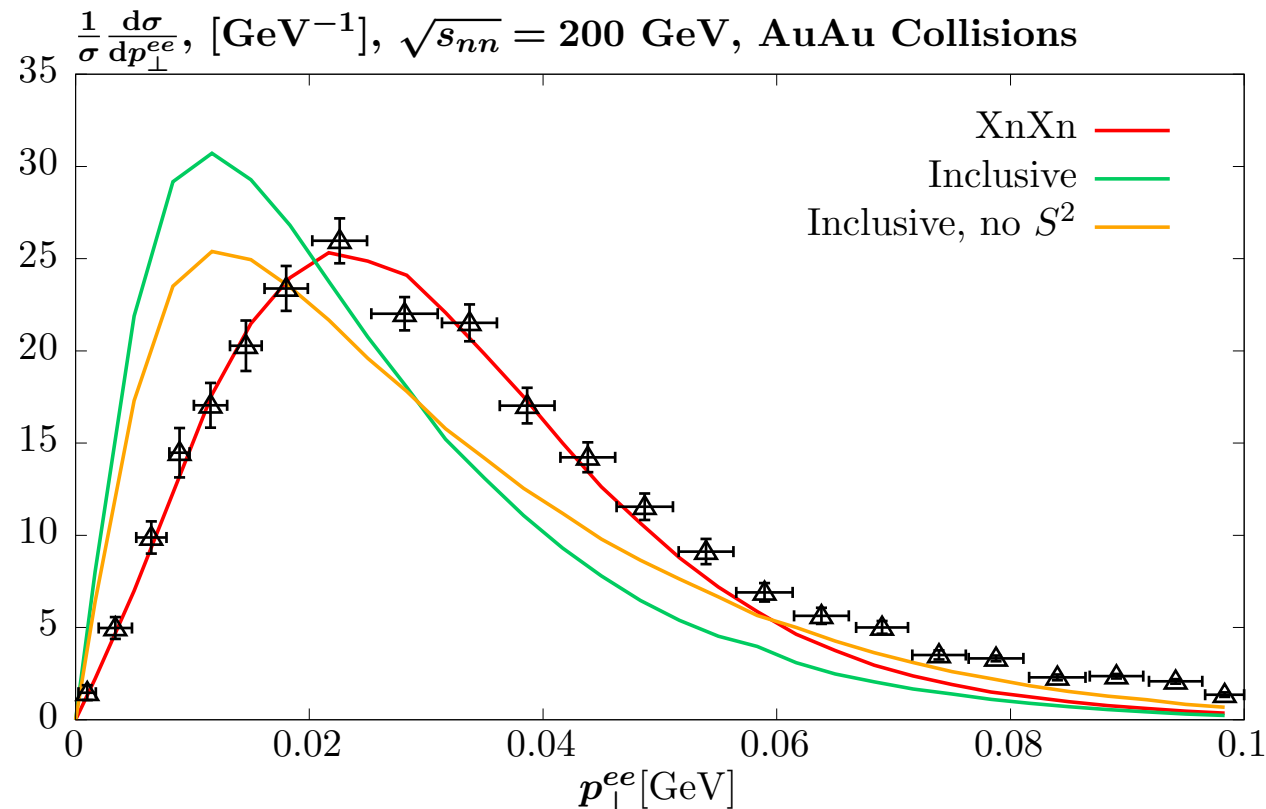
# STAR

- ★ STAR data on dielectron production. Principle result: distribution w.r.t. azimuthal angle  $\Delta\phi$  between  $p_{e\perp}$  and  $p_{\perp}^{e^+e^-}$ .
- ★ Data taken with XnXn tag: essential to account for mutual ion dissociation.



- Distribution in  $\Delta\phi$  quite well matched (up to apparent data fluctuations).
- Impact of neutron tag on this is clear. Again comes from correct account of kinematic impact of mutual ion dissociation.





	SuperChic	Data
$\sigma [\mu\text{b}]$	240	$261 \pm 37$
$ A_{2\Delta\phi}  (\%)$	6.2	$2.0 \pm 2.4$
$ A_{4\Delta\phi}  (\%)$	20.1	$16.8 \pm 2.5$
$\sqrt{\langle (p_{\perp}^{ee})^2 \rangle} [\text{MeV}]$	36.1	$38.1 \pm 0.9$

- Dielectron  $p_{\perp}^{e^+e^-}$  again well matched. Reasonable agreement for extracted:

$$\frac{d\sigma}{d\Delta\phi} \propto 1 + A_{2\Delta\phi} \cos 2\Delta\phi + A_{4\Delta\phi} \cos 4\Delta\phi ,$$

- Final remarks:

- ★ Inclusion of ion dissociation key here. In original STAR study older version of SC without this is compared to and this is not made clear!
- ★ Analytic results predict  $A_{2\Delta\phi} = 0$  up to  $O(m_l^2/m_{ll}^2)$  but this does not account for specific STAR kinematics, where  $p_{\perp}^e \gg p_{\perp}^{ee}$  not strictly valid.

# Summary/Outlook/Final Remarks

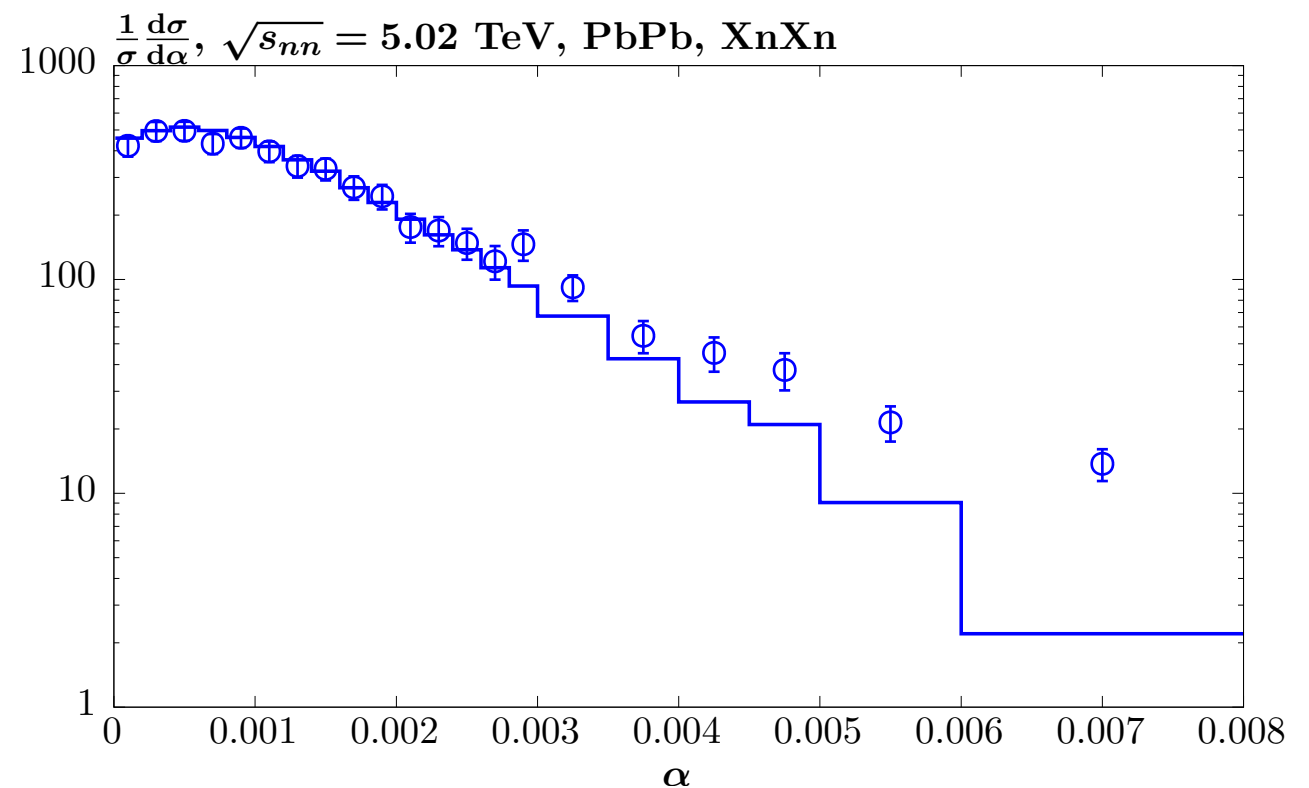
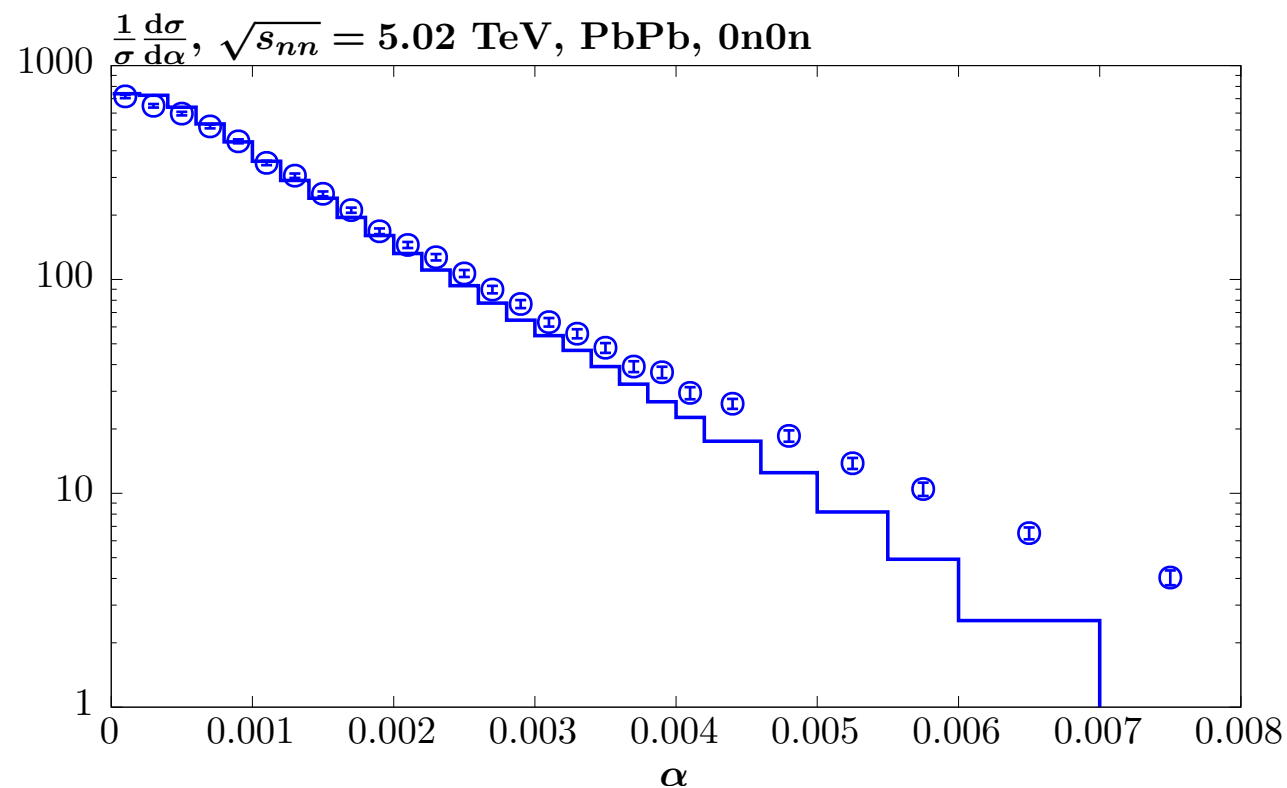
- ★ **Superchic 4.2:** first complete Monte Carlo treatment of UPCs with mutual ion dissociation, including kinematic impact on central particles.
- ★ Treatment of ion dissociation (survival factor) in  $b_{\perp}$  space, translated to  $q_{\perp}$  space automatically accounts for this.
- ★ Data/theory comparison encouraging, but with some differences. May be that some fine tuning of  $\sigma_{\gamma A}$  needed.
- ★ Future work: including FSR and further higher order QED effects essential for precision programme.
- ★ Results presented for dileptons here but of course applicable to other final-states.
- ★ Indeed provides valuable tool for future SM/BSM studies in the fruitful UPC channel.

Thank you for listening!

# Backup

# CMS data

- Excess in theory over data in  $\langle\alpha\rangle$  driven by tail of distributions, where FSR effects will be largest.
- Missing in theory  $\Rightarrow$  indication this may be the culprit.



# Unitarity

- Using naive ion dissociation probability:  $P_{Xn}^1(b_\perp) = \int \frac{d\omega}{\omega} |\tilde{\mathbf{N}}(x, b_\perp)|^2 \sigma_{\gamma A \rightarrow A^*}(\omega)$  ,  
this becomes  $> 1$  at lower impact parameters.

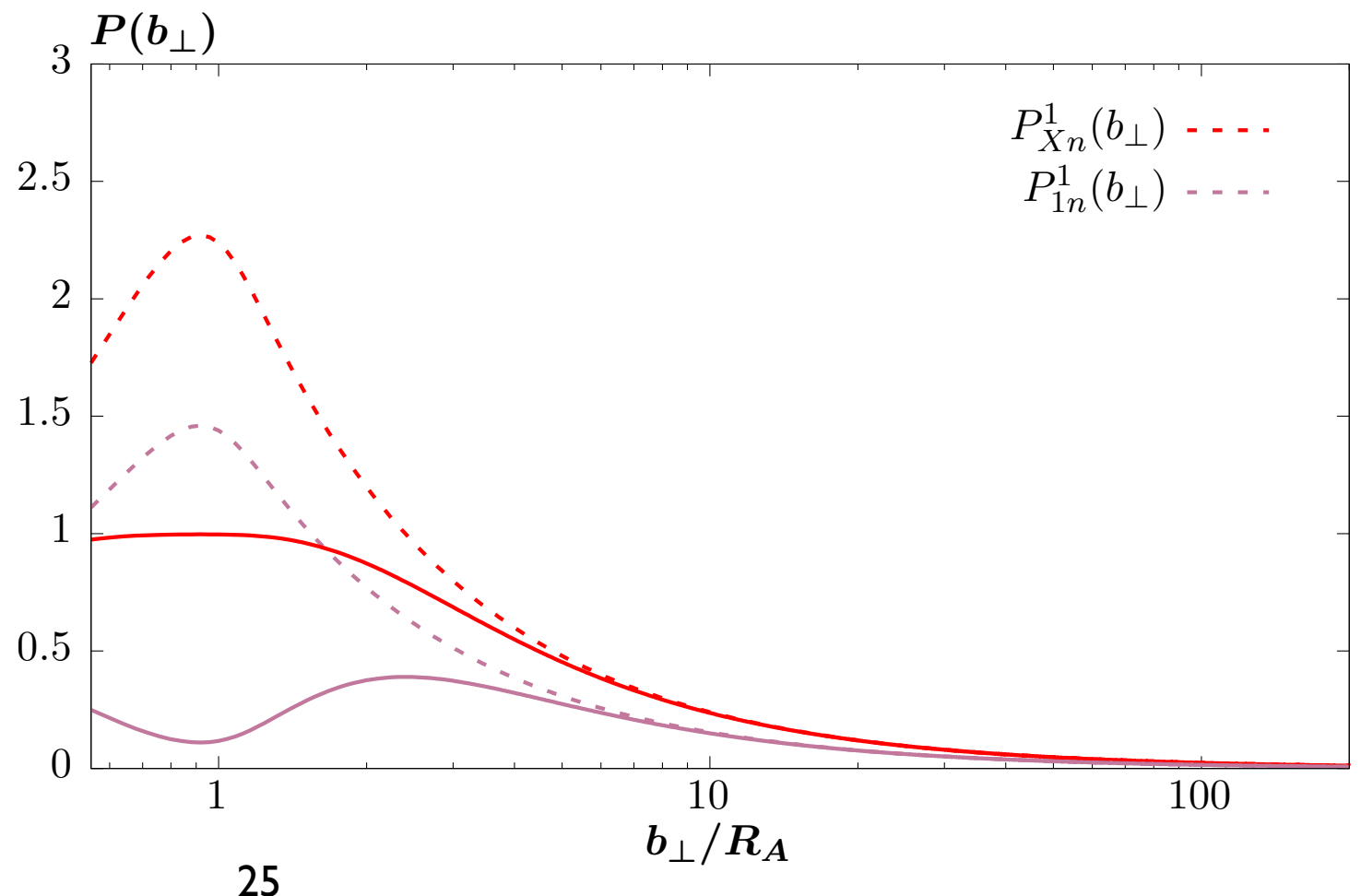
- Instead interpret as Poisson probability and use:  

$$P_{0n}(b_\perp) = \exp(-P_{Xn}^1(b_\perp)) ,$$

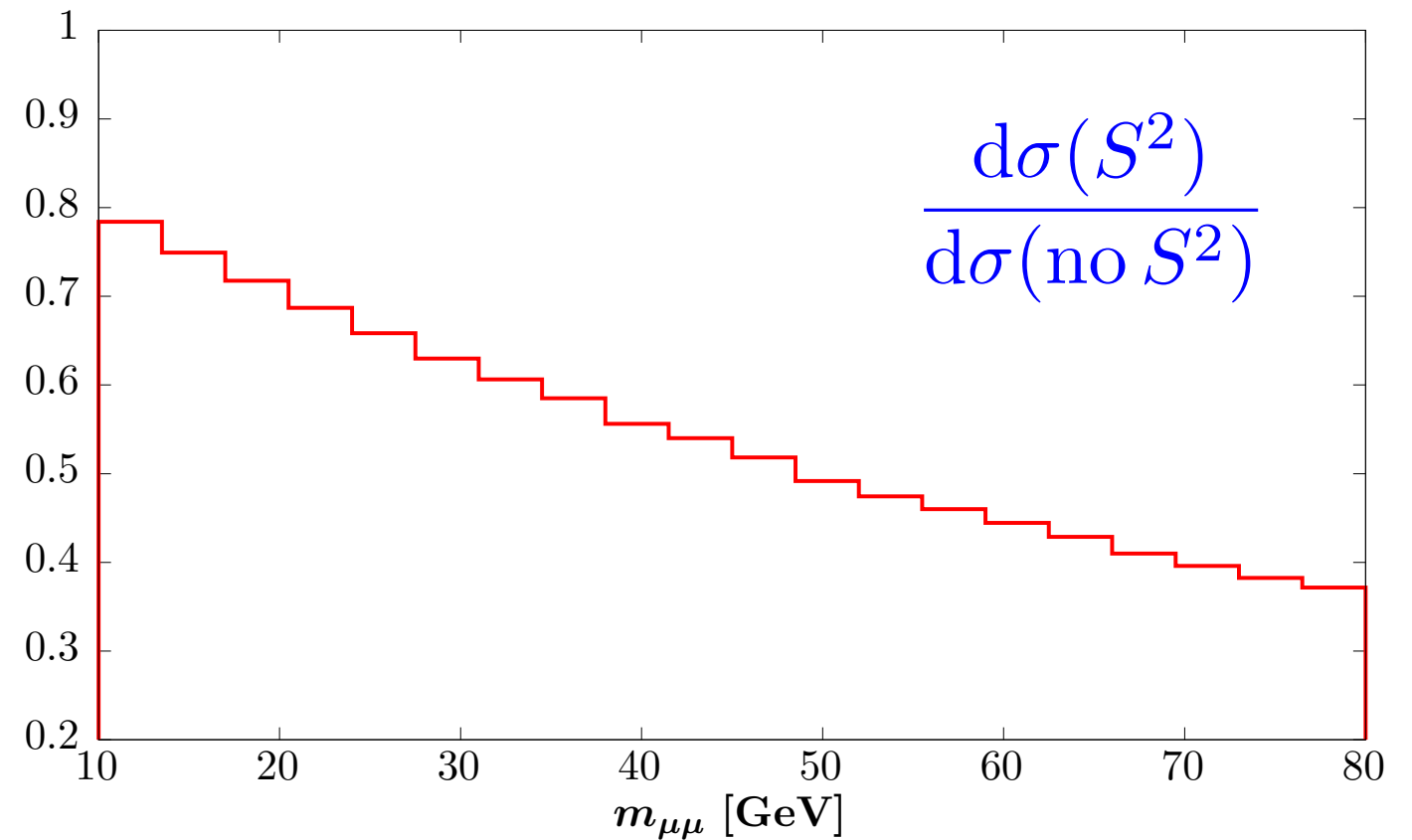
$$P_{1n}(b_\perp) = P_{1n}^1 \exp(-P_{Xn}^1(b_\perp)) ,$$

$$P_{Xn}(b_\perp) = 1 - \exp(-P_{Xn}^1(b_\perp)) .$$

- Probabilities by definition unitary.
- Reduces e.g.  $XnXn$  cross section by  $\sim 1$ -2.



- E.g. for dimuon production at 5.02 TeV.



- Clear impact on mass and rapidity distributions (and others).

