

Validation and Evaluation Uses of Quasi-Differential High-Energy Scattering Data

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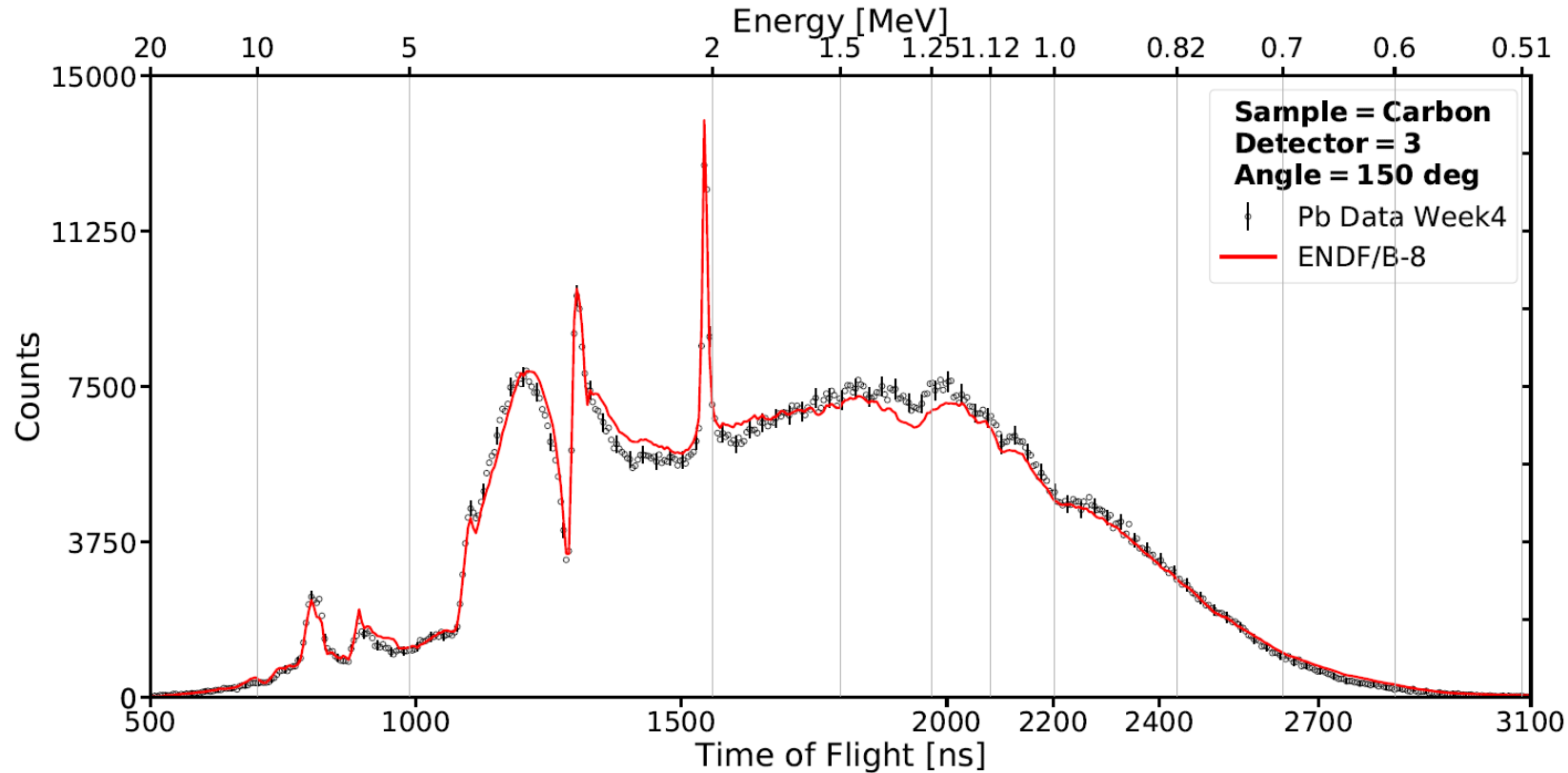


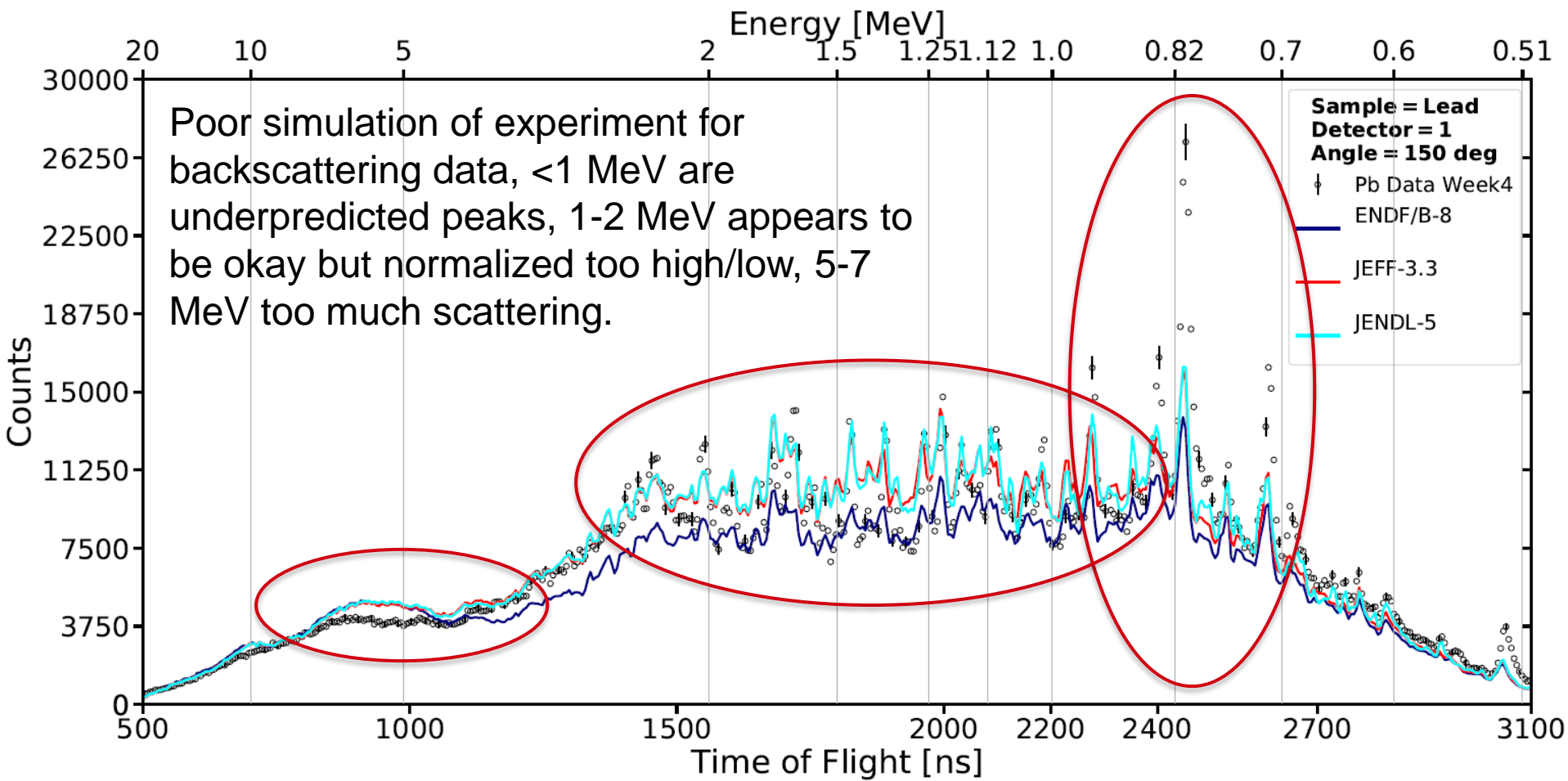
- Motivation
- Quasi-Differential for Evaluation
- Quasi-Differential for Covariance
- Quasi-Differential for Validation
- Summary

PROJECT OVERVIEW

- Motivation: Lead isotope evaluations for DOE-NEUP support of GEN-IV reactor technologies [1]
 - Lead Fast Reactors (LFRs), Molten Salt Reactors (MSRs), and Liquid Metal Fast Breeder Reactors (LMFBRs)
 - Accelerator driven systems (ADS)
 - Lead-cooled fast spectrum test beds
- Project Goals
 - Validate a suite of (quasi)integral experiments in order to test Pb libraries
 - Resolved Resonance and Fast Region Evaluations for Pb-206, Pb-207, Pb-208
 - Covariance development for all isotopes over the recently evaluated energy ranges

- For energies below 5 MeV, elastic scattering is primary reaction for lead isotopes
- The agreement between quasi-differential experimental data and simulation of the experiment should be directly proportional to how well the integral double-differential scattering cross section is known
- Work here will be using reduced data from Youmans, mimicking approach of someone who is outside RPI [2]

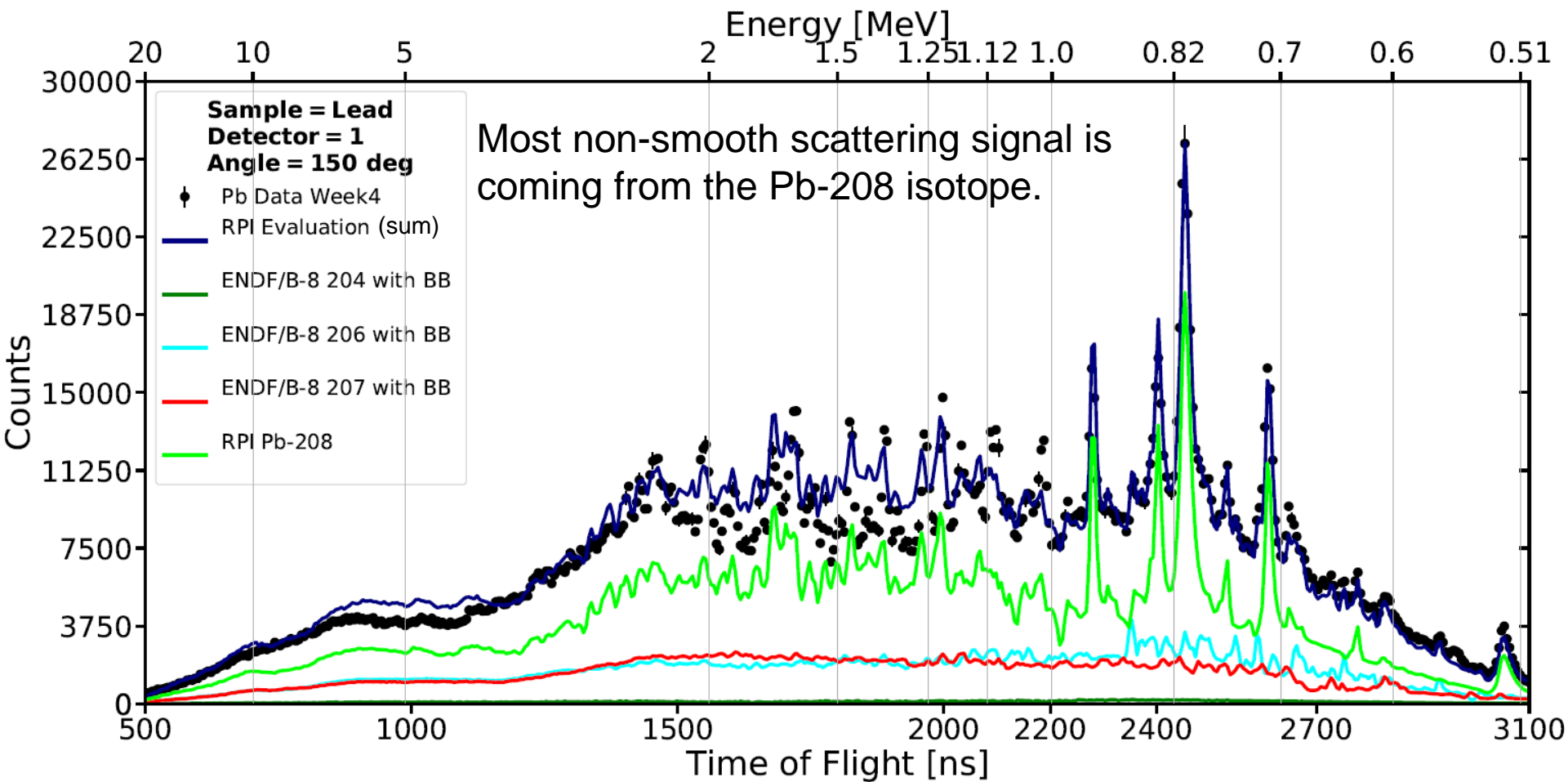




- Large scattering peaks below 1 MeV are completely underpredicted from investigated evaluations
- Around 1-2 MeV ENDF/B-VIII.0 agree with the valley of structure while JEFF/JENDL have the peaks
- Scattering at 5-8 MeV too high

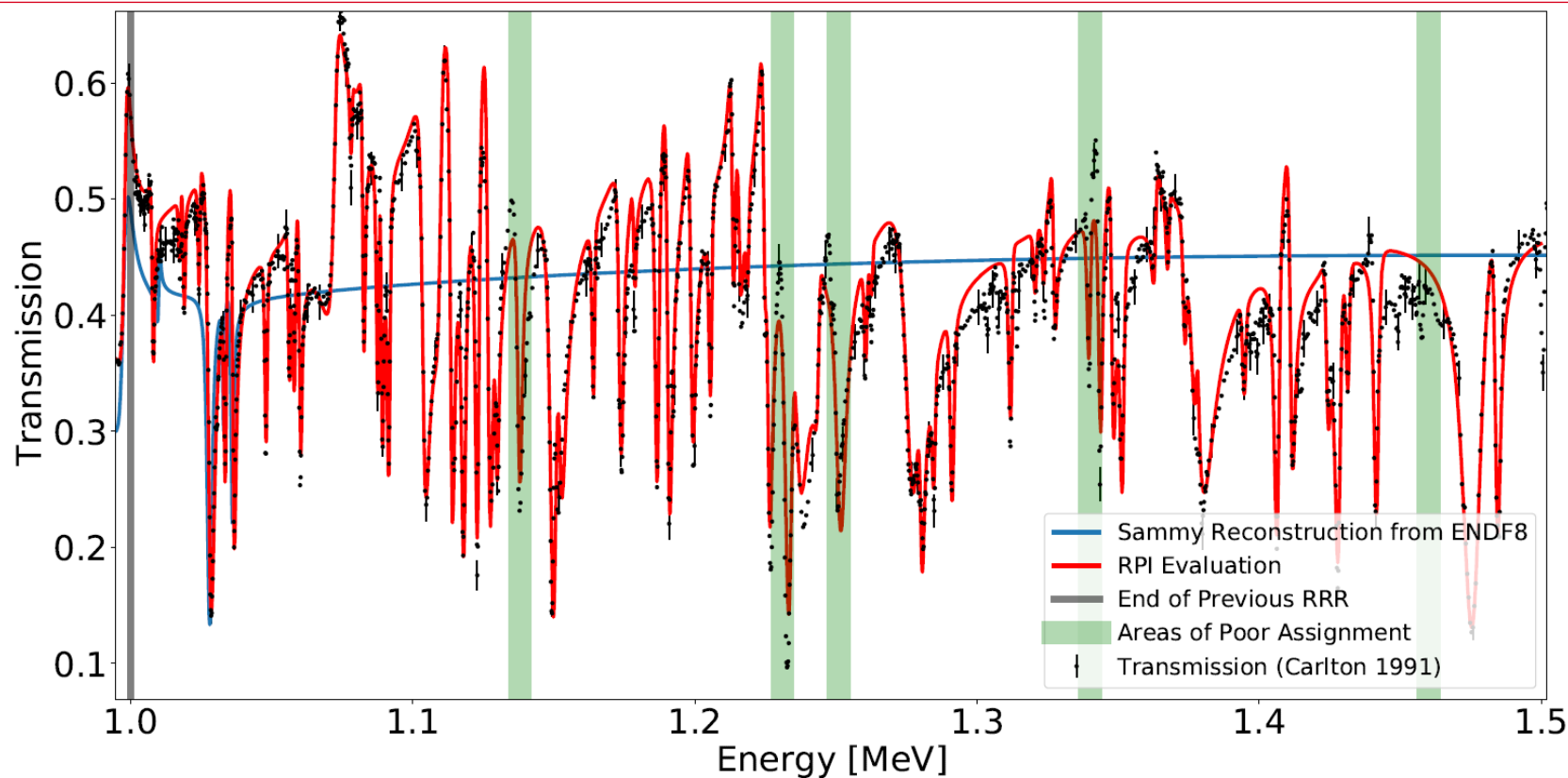
Simulation using ENDF Pb isotopic data does not reproduce the natural lead scattering experiment as well as the carbon simulation matches experiment.

- The upper limit of resolved resonance regions for Pb isotopes (Pb-206: 0.9 MeV, Pb-207: 0.475 MeV, Pb-208: 1 MeV)
- The total and capture cross sections are well known for isotopes in this region, so elastic (and inelastic) scattering distributions (ESAD) may be the issue
- Use Blatt-Biedenharn (BB) in NJOY[3] to recalculate ESAD (MF-4, MT-2) and then simulate pure isotopic samples in MCNP [4]

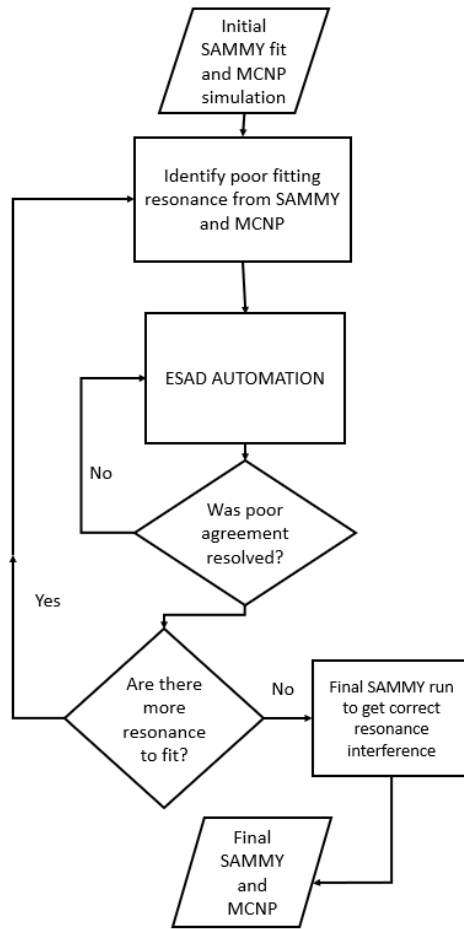


- The current upper limit of the RRR for Pb-208 is 1 MeV, based on a ORELA transmission by Carlton [5]
- The RRR was extended out to 1.5 MeV, but there are several areas in transmission that are spin insensitive

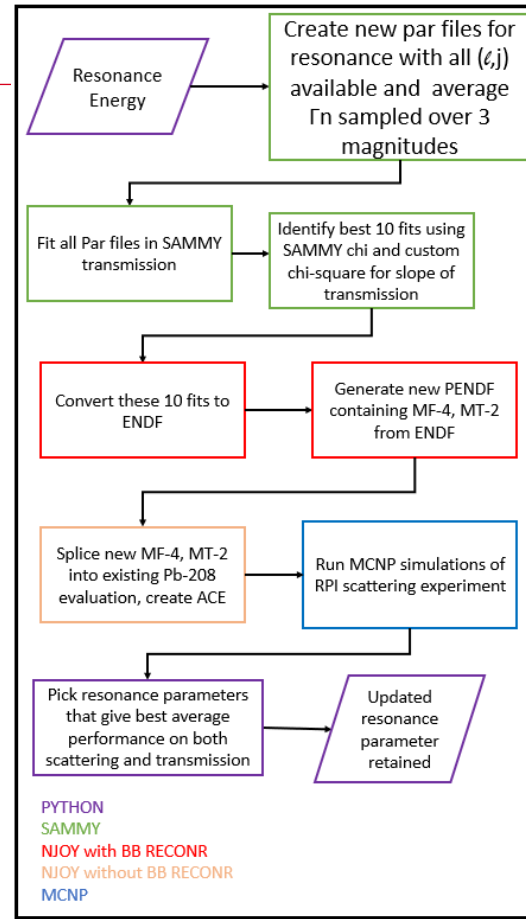
Pb-208 Transmission

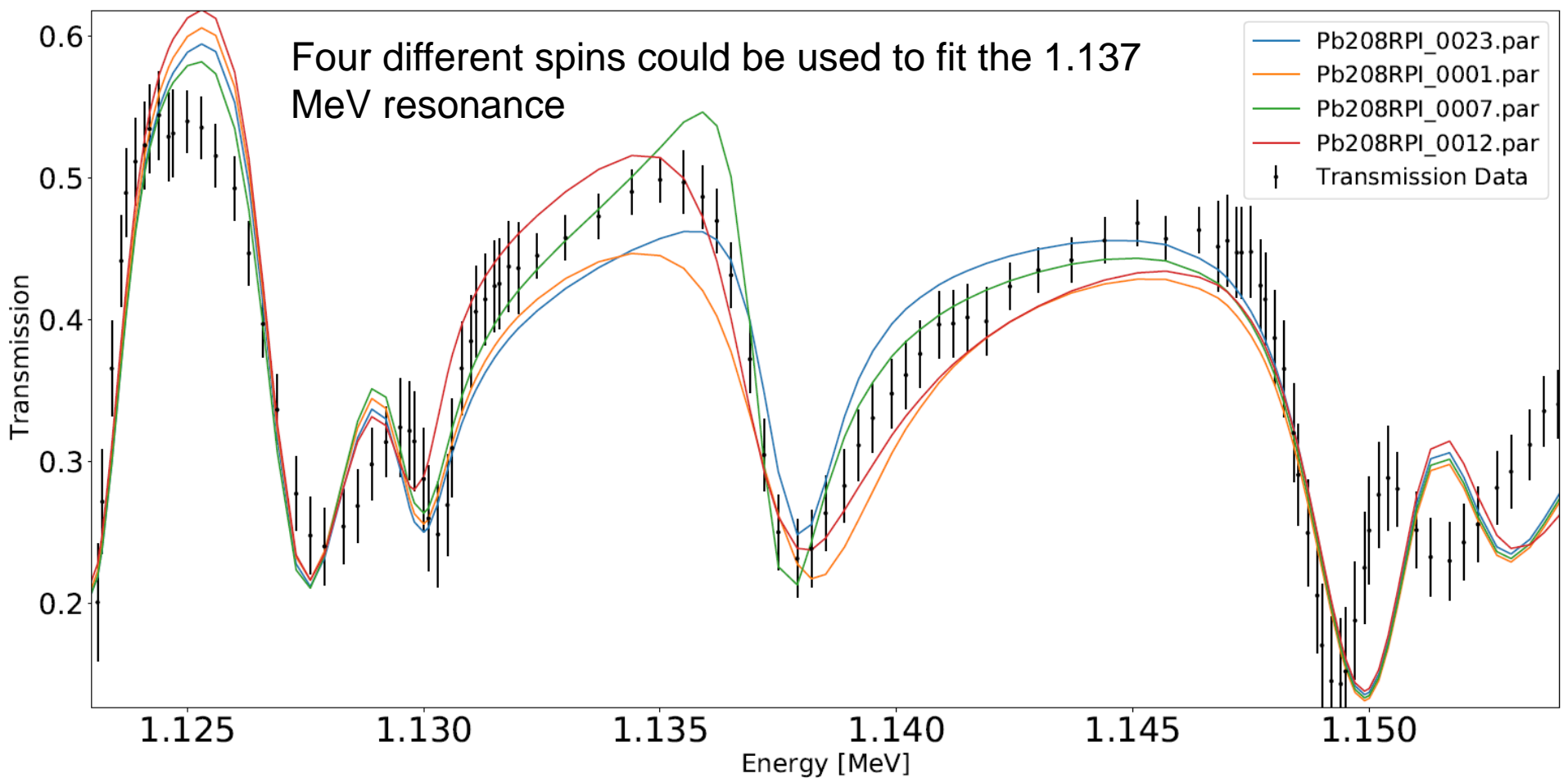


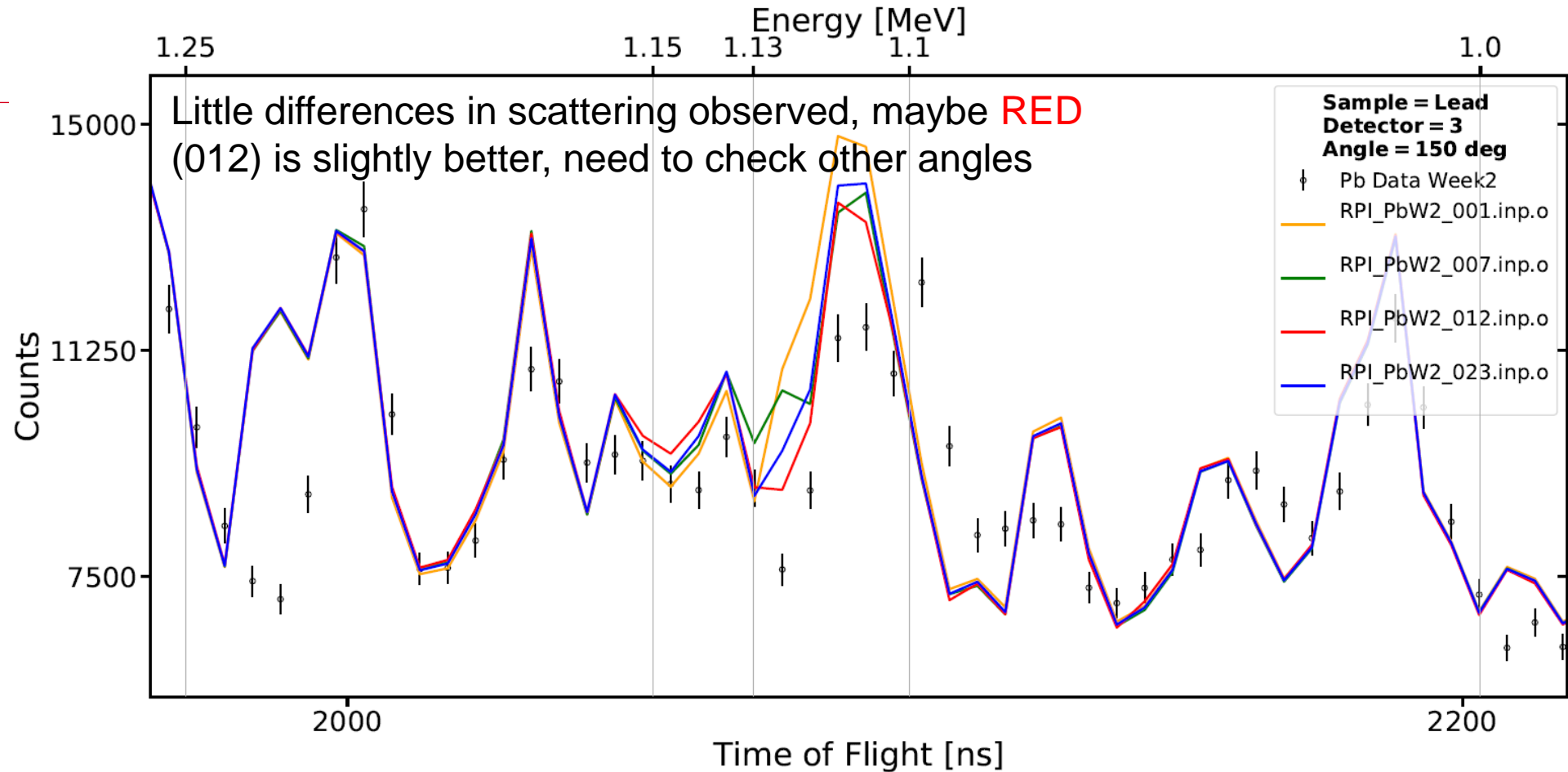
- Even though transmission is spin insensitive, the scattering data will be spin sensitive
- ESAD Methodology developed to sample the most probable spin assignments based on empirical fits (transmission)

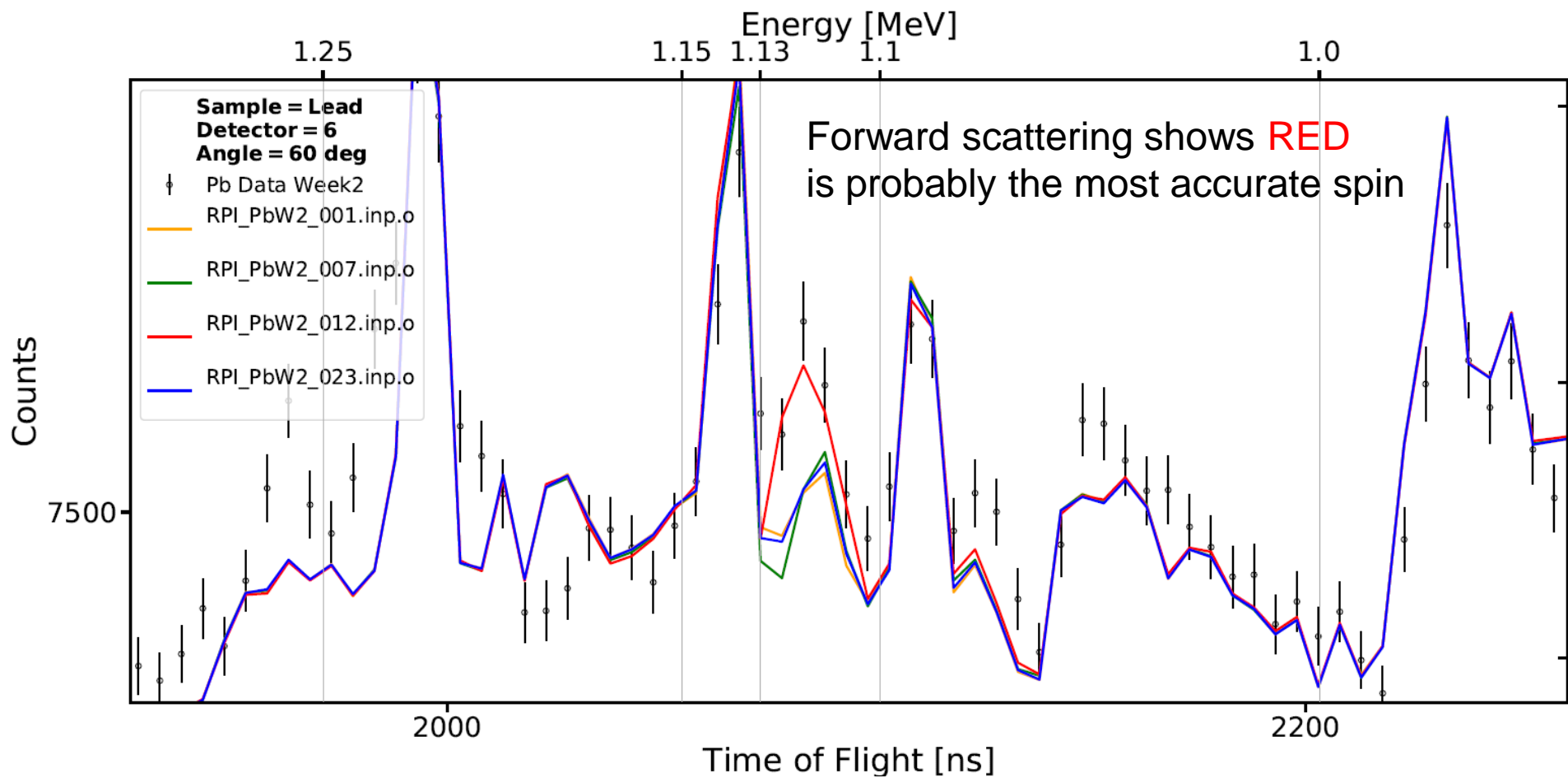


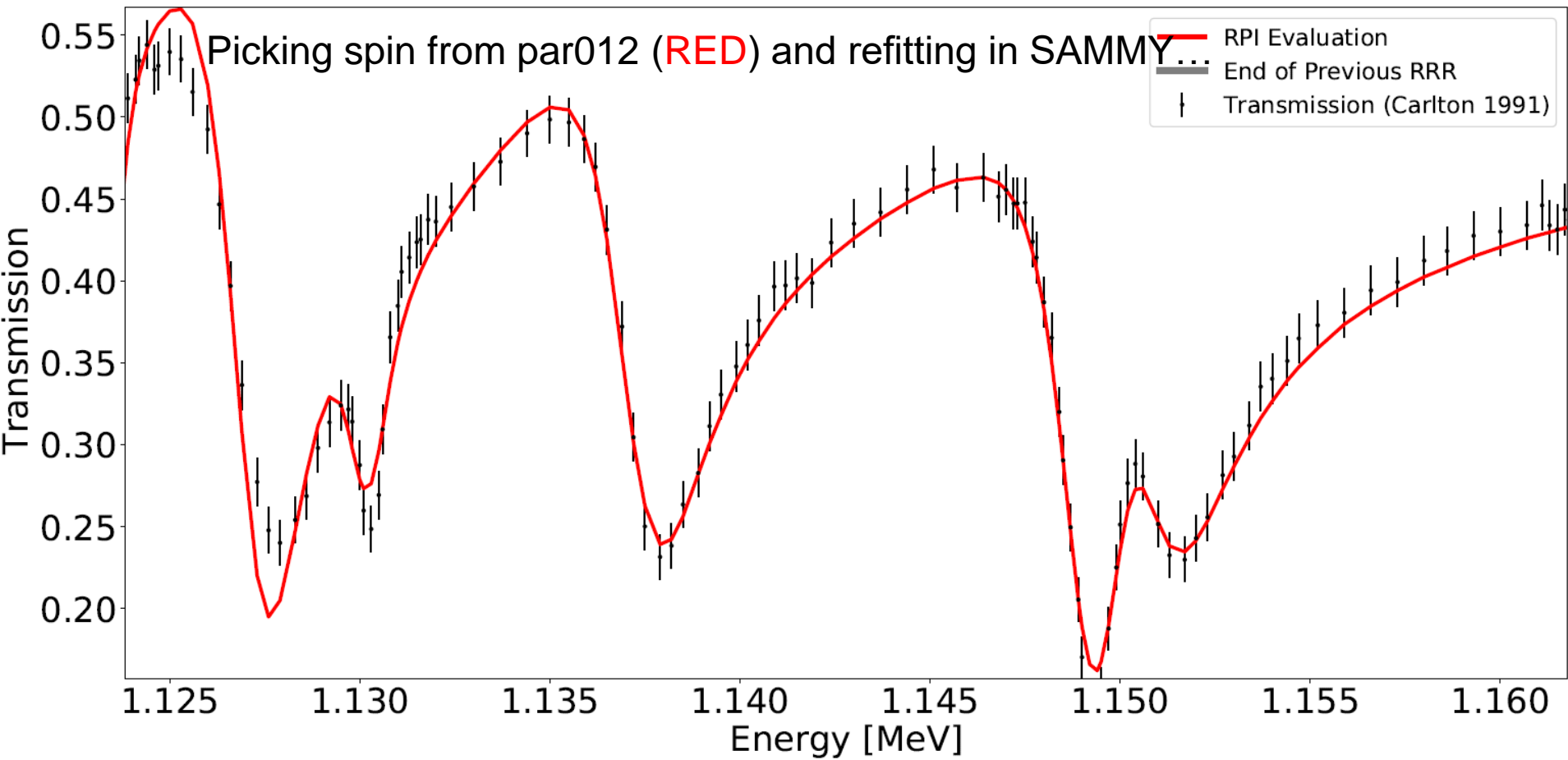
ESAD AUTOMATION











- Useful in determining individual isotopic contributions to natural Pb scattering, determining problematic isotopes for evaluation
- Quasi-differential scattering can be used to assign resonance spins
 - Transmission data, elastic dominance, isotope separation

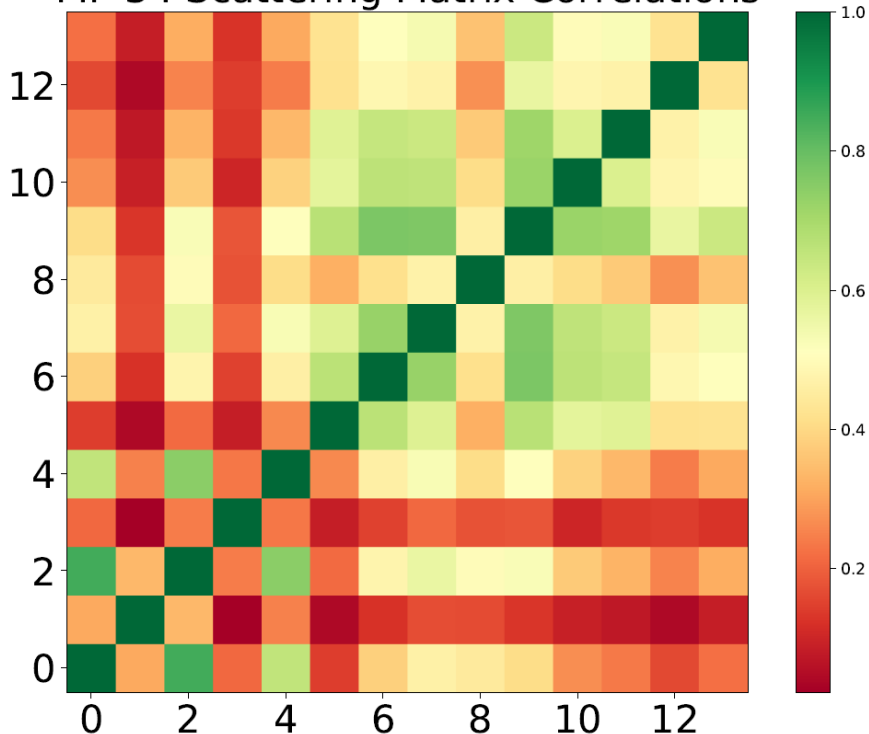
- V. Sobes on ENDF/B-8 covariance: "... [covariance] in the ENDF/B libraries is not an estimation of a physical quantity. It is rather a statement of the belief or a confidence in the estimated mean value." [6]
- The final use of quasi-differential scattering data is determining the magnitude of the covariance for scattering distributions MF-34

Covariance uses of Quasi-Differential

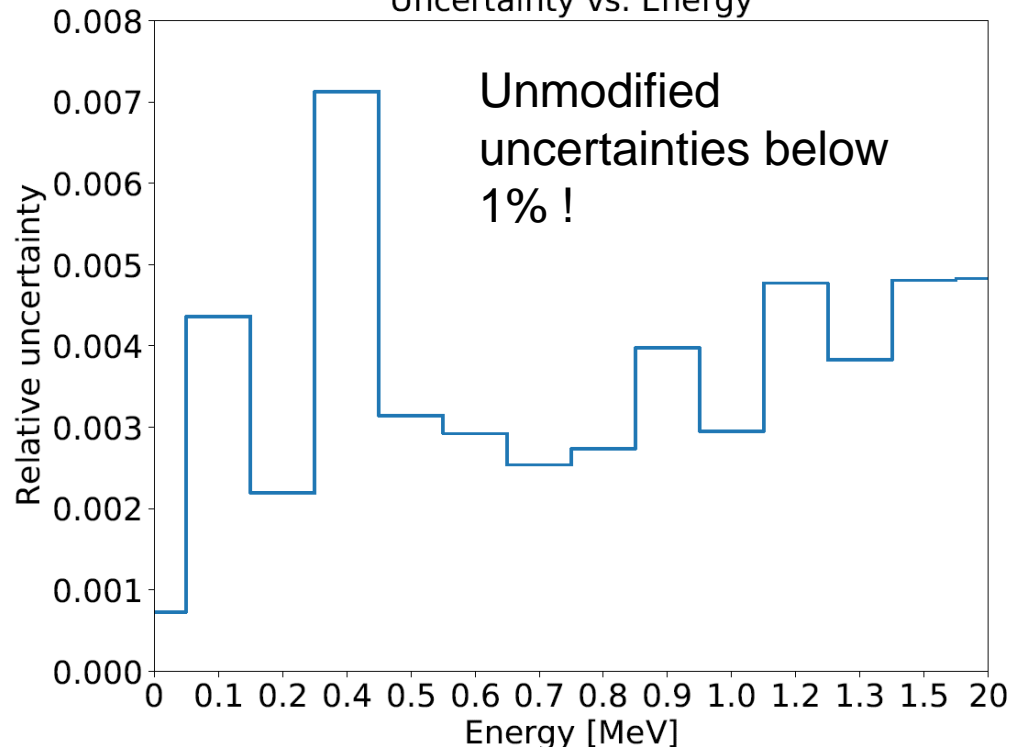
- Use Monte Carlo (MC) approach to generate new MF-2 resonance parameters using MF-32 uncertainties and generating new MF-4 using SAMMY [7]
- Run 100s of synthetic MF-2 through Blatt-Biedenharn to get a spread of $a_1(E)$ coefficients (can track others but not supported in NJOY)
- Calculate and format covariance matrix in Python code
- Any energy higher than the RRR limit gets the uncertainty from the last bin within the RRR, this means a constant uncertainty on a_1 past 1.5 MeV

Covariance uses of Quasi-Differential

MF-34 Scattering Matrix Correlations

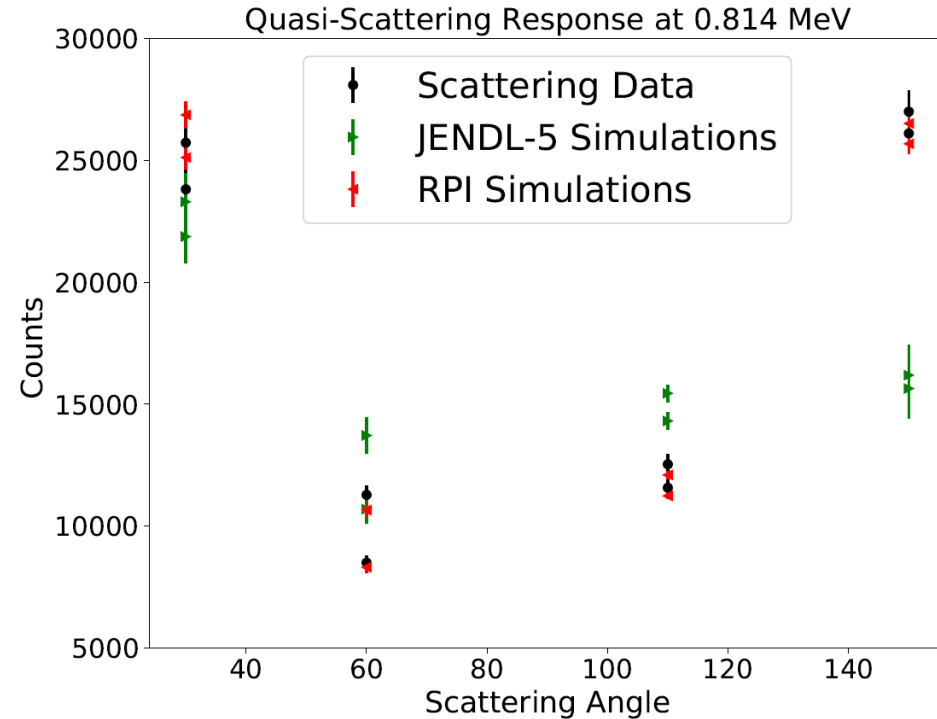


Uncertainty vs. Energy



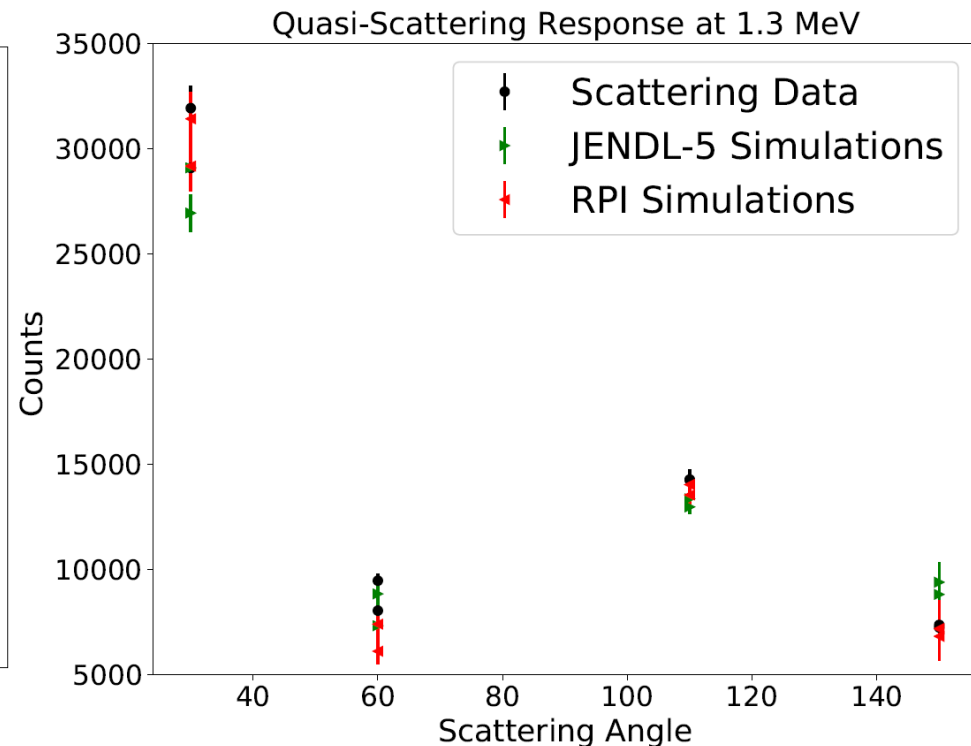
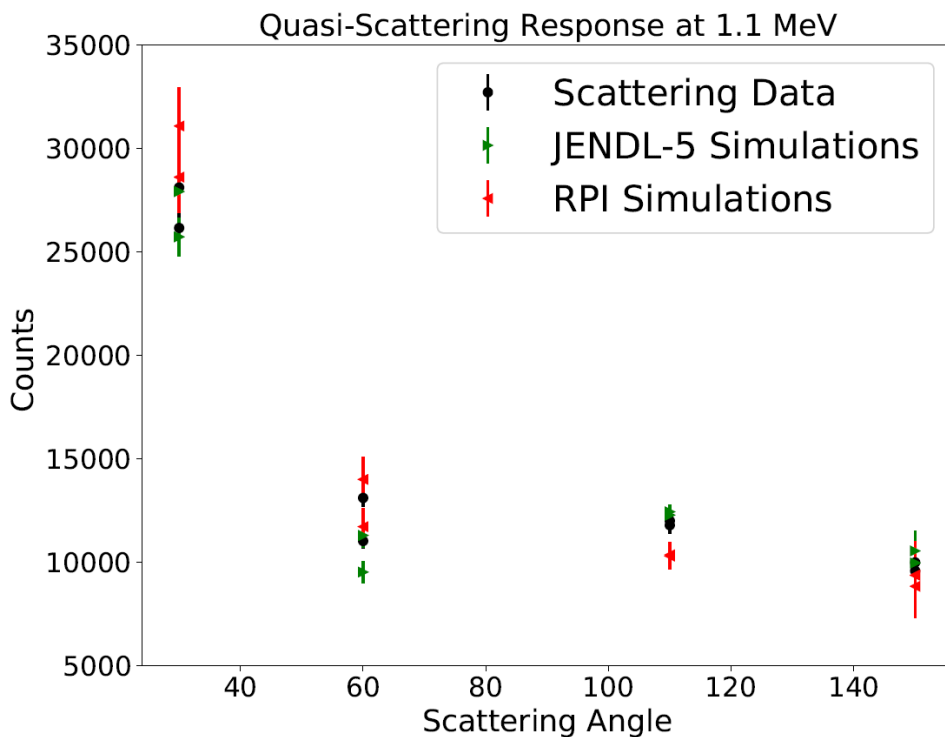
Covariance uses of Quasi-Differential

- Want to find the uncertainty on P1 which give us 5% uncertainty on experimental counts
- Manually perturbed P1 by 20-30% for RPI and JENDL-5
- 24% P1 uncertainty on Pb-208 gives back 5% experimental uncertainty at 814 keV



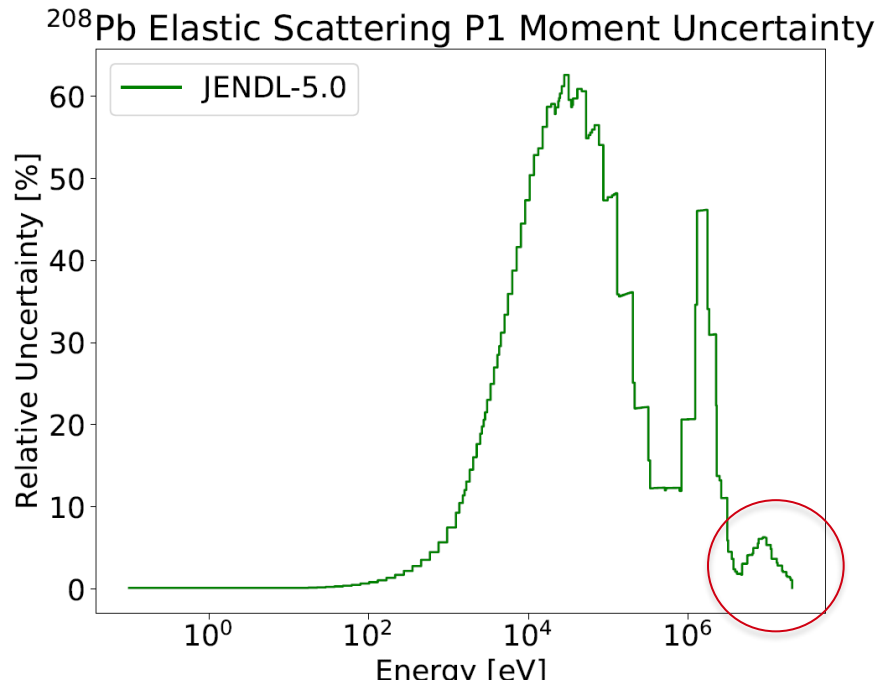
Covariance uses of Quasi-Differential

Different angles/energies are more/less sensitive to this type of analysis

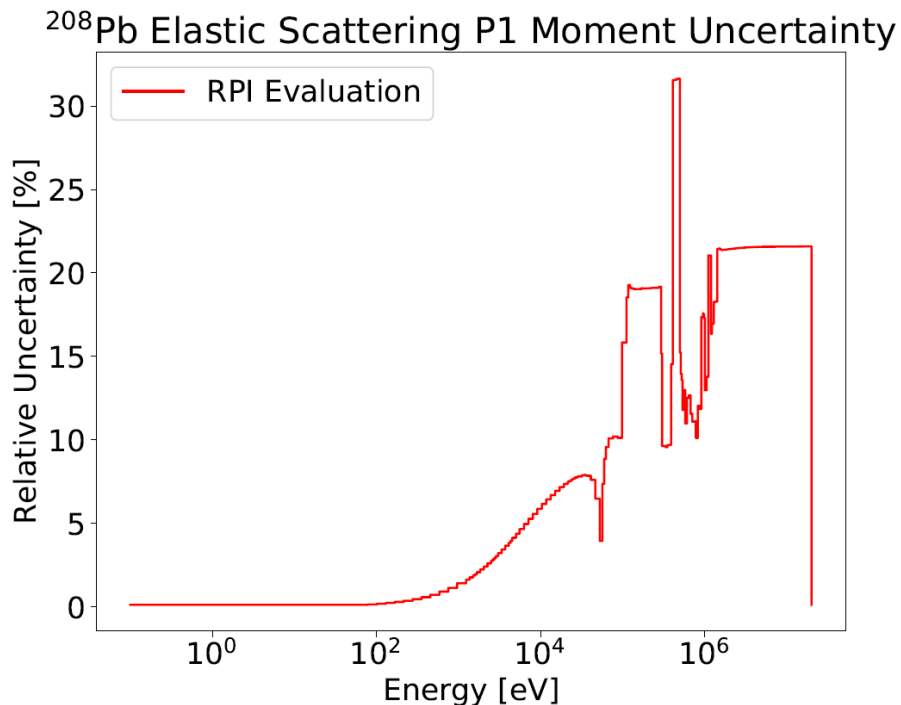


Covariance uses of Quasi-Differential

JENDL-5.0



RPI Evaluation

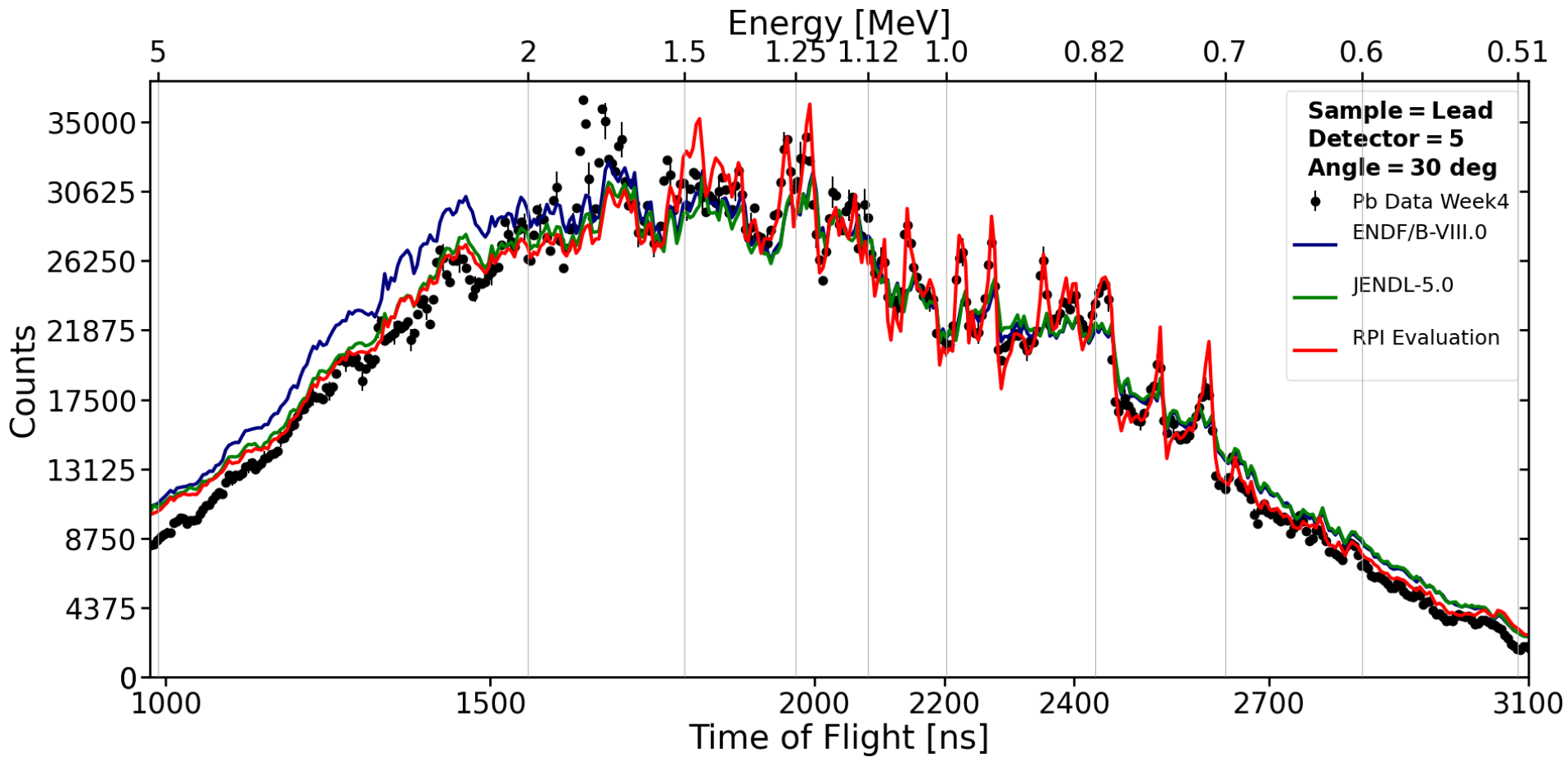


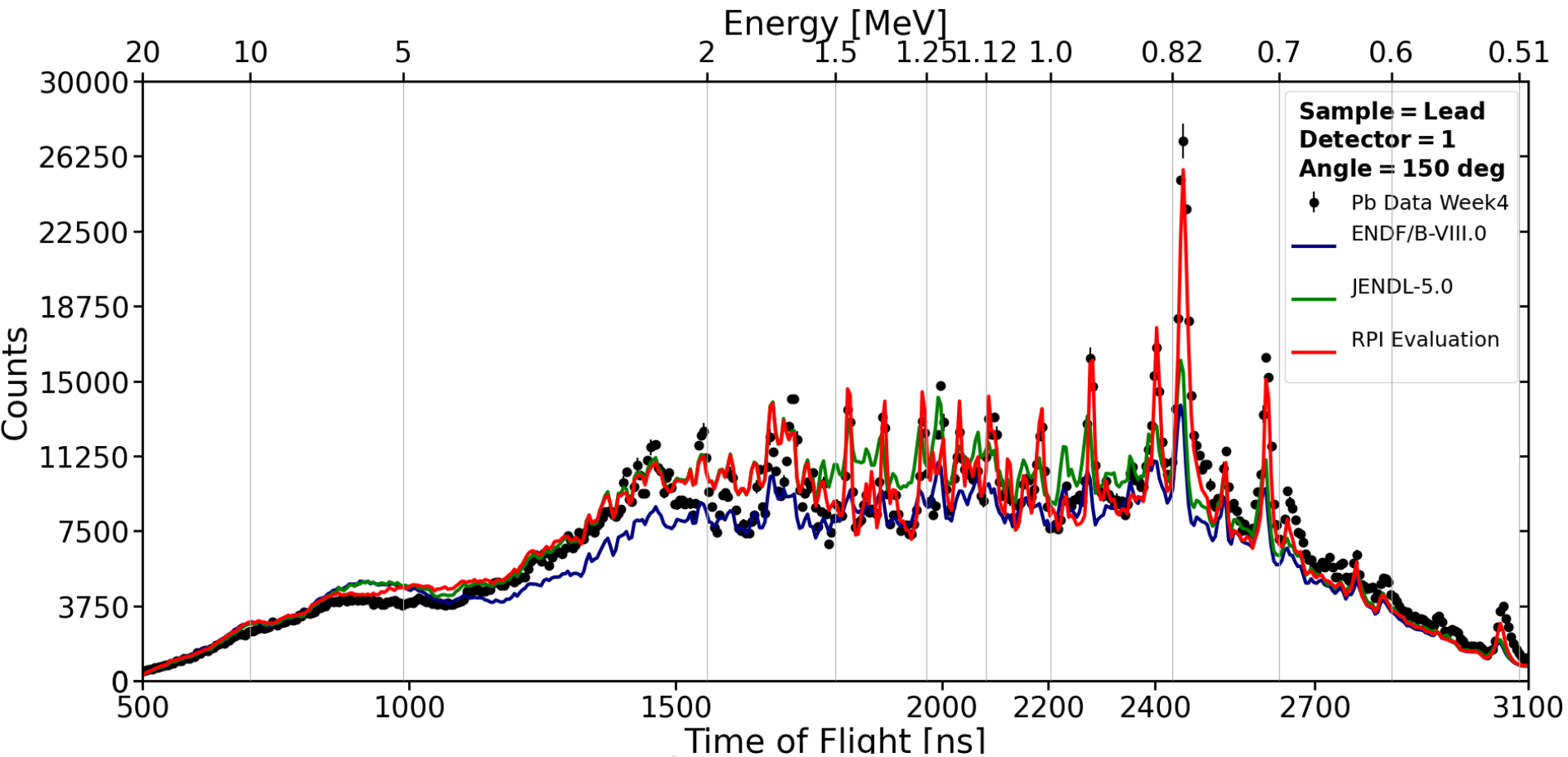
JENDL-5.0 reporting scattering distribution uncertainties with similar magnitude to total cross sections after 2 MeV

Covariance uses of Quasi-Differential

- Uncertainties between 10-30% on Pb-208 ESAD result in 5+% scattering uncertainties → upper bounds for unc.
- The choice to keep the last bin uncertainty (>1.5 MeV) equal to the previous bin (1.3 – 1.5 MeV) is deliberate as there is no basis for saying the scattering kernel is better known at higher energies
- The low uncertainties in JENDL library are a result of the KALMAN filtering from both cross sections and distributions
- However, the applicability of the OMP in Pb-208 below 2 MeV is poor and uncertainties above 2 MeV are small, covariances are then suspect

- After all the evaluation work of changing the elastic and inelastic channels can any difference be observed?





Summary of Uses for Quasi-Differential Scattering Data

- Many evaluation strategies can utilize the quasi-differential data
 - Identifying deficient isotopes, picking and reinforcing spin assignments, ad-hoc adjustments to cross sections (see talk later)
- Quasi-differential scattering data can be used to scale and understand the covariances derived for secondary neutron distributions (MF-34)
- MCNP simulations of quasi-differential measurements are ideal candidates for validation, even preferable over critical experiments for reflector materials with low number of integral experiments

References

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