### **CLIC X-BAND Corrector Cavity**

# Static structural analyses Design possible modifications

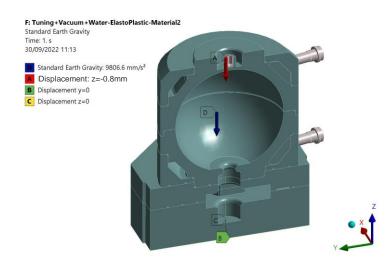
Laurène GIORDANINO, Kraftanlagen-Assystem on behalf of CERN, EN-MME-EDS

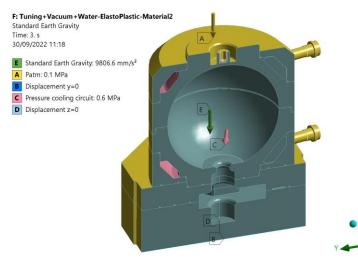




### Model configuration

- Material behaviour: elastic-plastic
- Contacts: perfectly bonded
- Boundaries:
  - lower face blocked vertically
  - 1 middle line blocked horizontally
- Loads (besides gravity):
  - Step 1: tuning (displacement=0.8mm)
  - Step 2: removing displacement
  - Step 3:
    - P=6 bar in cooling circuits
    - vacuum in cavity (P<sub>atm</sub> outside)



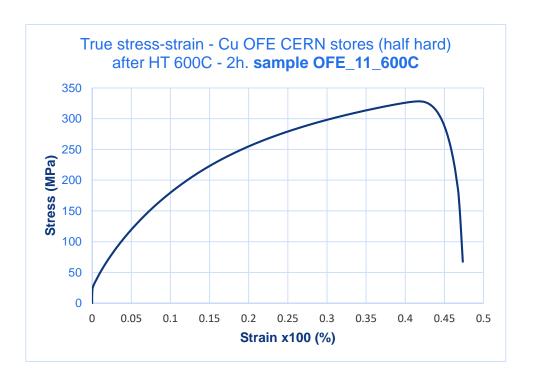






### Cu OFE annealed properties

#### Stress-strain curve



#### Obtained from tests at CERN

- OFE (UNS C10100) and OFS (UNS C10700) 3mm thick. sheet from CERN stores (half-hard temper state)
- Material certificates available in EDMS 2436530.
- Surfacing RRR samples by machining (as per RF gaskets) + side cut by spark erosion
- Mechanical engraving of each sample individually (to avoid mixture)
- Degreasing before heat treatments (as per RF gaskets)
- Heat treatments in MME brazing furnace (as per RF gaskets),
   by F. Motschmann.
- RRR measurements by D. Richter (TE-MSC), (V and I contacts placed on the machined faces)
- Sample sizes:
  - RRR: 1.9x1.9x122 mm
  - Tensile specimens: ASTM E8
  - Metallo: 25 x 20 x thickness mm





### Total/plastic strain

- total strain = elastic strain + plastic strain + creep strain + thermal strain
- 2 criteria: Von Mises (Equivalent) or Tresca (Intensity)

#### Intensity

Stress intensity is defined as the largest of the absolute values of  $\sigma_1$  -  $\sigma_2$ ,  $\sigma_2$  -  $\sigma_3$ , or  $\sigma_3$  -  $\sigma_1$ :

$$\sigma_I = MAX(|\sigma_1 - \sigma_2|, |\sigma_2 - \sigma_3|, |\sigma_3 - \sigma_1|)$$

Stress intensity is related to the maximum shear stress:

$$\sigma_I = 2\tau_{max}$$

Elastic Strain intensity is defined as the largest of the absolute values of  $\epsilon_1$  -  $\epsilon_2$ ,  $\epsilon_2$  -  $\epsilon_3$ , or  $\epsilon_3$  -  $\epsilon_1$ :

$$\varepsilon_{l} = MAX(|\varepsilon_{1} - \varepsilon_{2}|, |\varepsilon_{2} - \varepsilon_{3}|, |\varepsilon_{3} - \varepsilon_{1}|)$$

Elastic Strain intensity is equal to the maximum shear elastic strain:

$$\varepsilon_{l} = \gamma_{max}$$

Equivalent Stress (and Equivalent Elastic Strain) and Stress Intensity are available as individual results.

#### **Equivalent (von Mises)**

Equivalent stress is related to the principal stresses by the equation:

$$\sigma_e = \left[ \frac{(\sigma_1 - \sigma_2)^2 + (\sigma_2 - \sigma_3)^2 + (\sigma_3 - \sigma_1)^2}{2} \right]^{1/2}$$

Equivalent stress (also called *von Mises stress*) is often used in design work because it allows any arbitrary three-dimensional stress state to be represented as a single positive stress value. Equivalent stress is part of the maximum equivalent stress failure theory used to predict yielding in a ductile material.

The von Mises or equivalent strain  $\epsilon_e$  is computed as:

$$\varepsilon_e = \frac{1}{1+\nu} \left( \frac{1}{2} \left[ (\varepsilon_1 - \varepsilon_2)^2 + (\varepsilon_2 - \varepsilon_3)^2 + (\varepsilon_3 - \varepsilon_1)^2 \right] \right)^{\frac{1}{2}}$$

where:

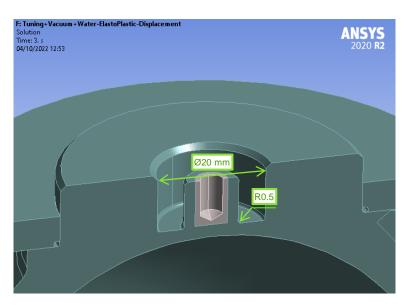
v' = effective Poisson's ratio, which is defined as follows:

- Material Poisson's ratio for elastic and thermal strains computed at the reference temperature of the body.
- · 0.5 for plastic strains.

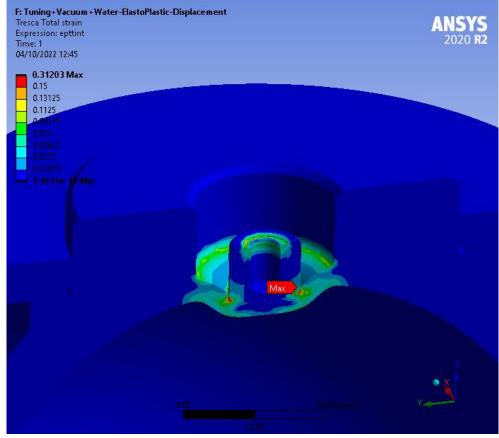




# Original design (Ø20mm + R0.5)

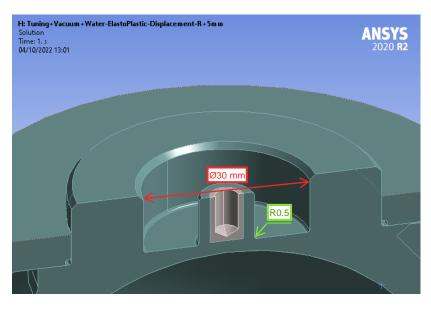


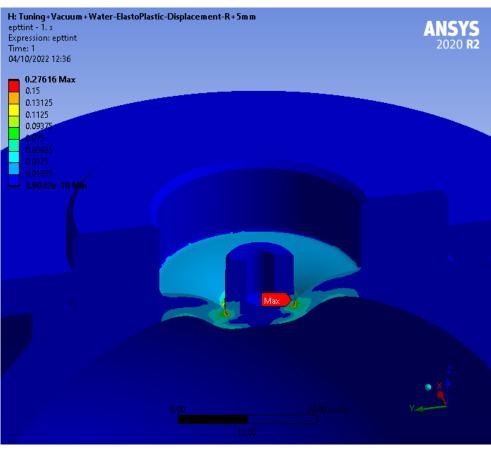
Total strain Tresca (~plastic strain because deformation almost entirely plastic)





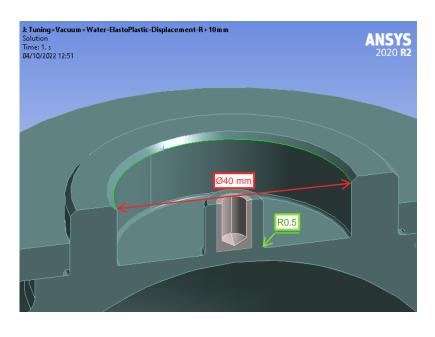
### Diameter 30mm + R0.5

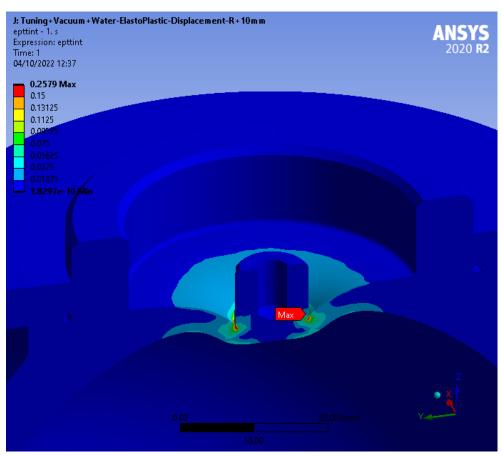






### Diameter 40mm + R0.5

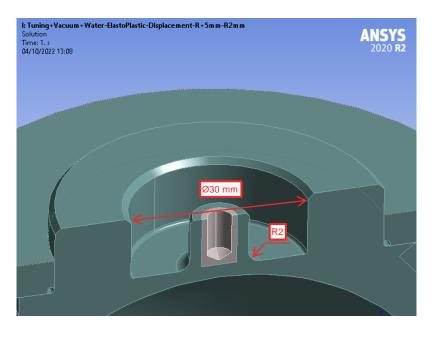


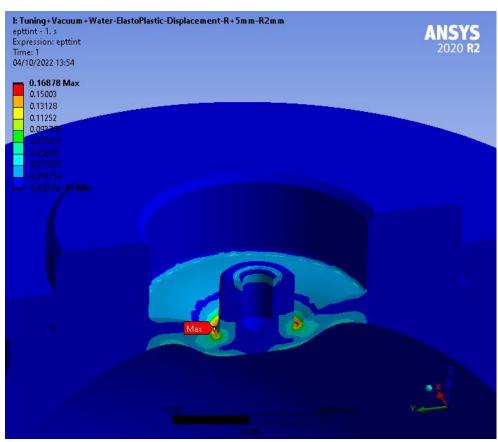






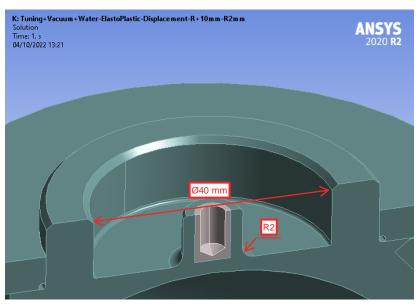
### Diameter 30mm + R2

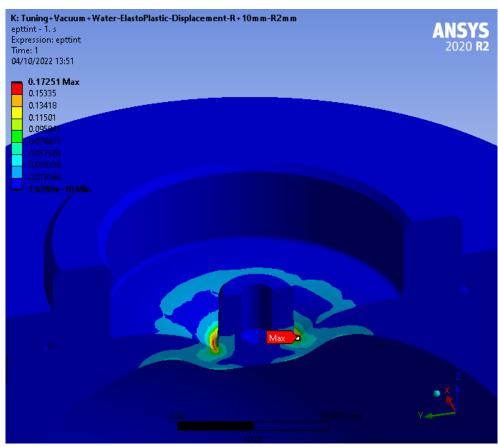






### Diameter 40mm + R2

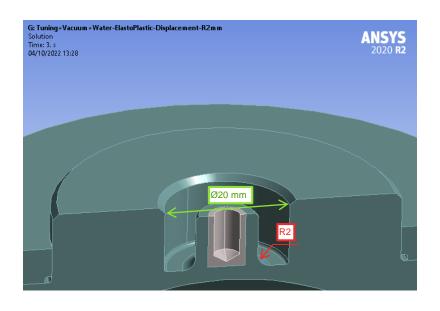


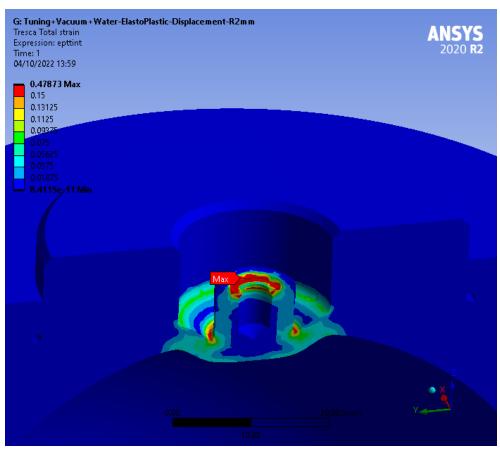






### Diameter 20 + R2









## Maximum total strain (Tresca)

Original design	Ø30mm/R0.5	Ø40mm/R0.5	Ø30mm/R2	Ø40mm/R2	Ø20mm/R2
31.2 %	27.6 %	25.8 %	16.9 %	17.3 %	47.9 %

