

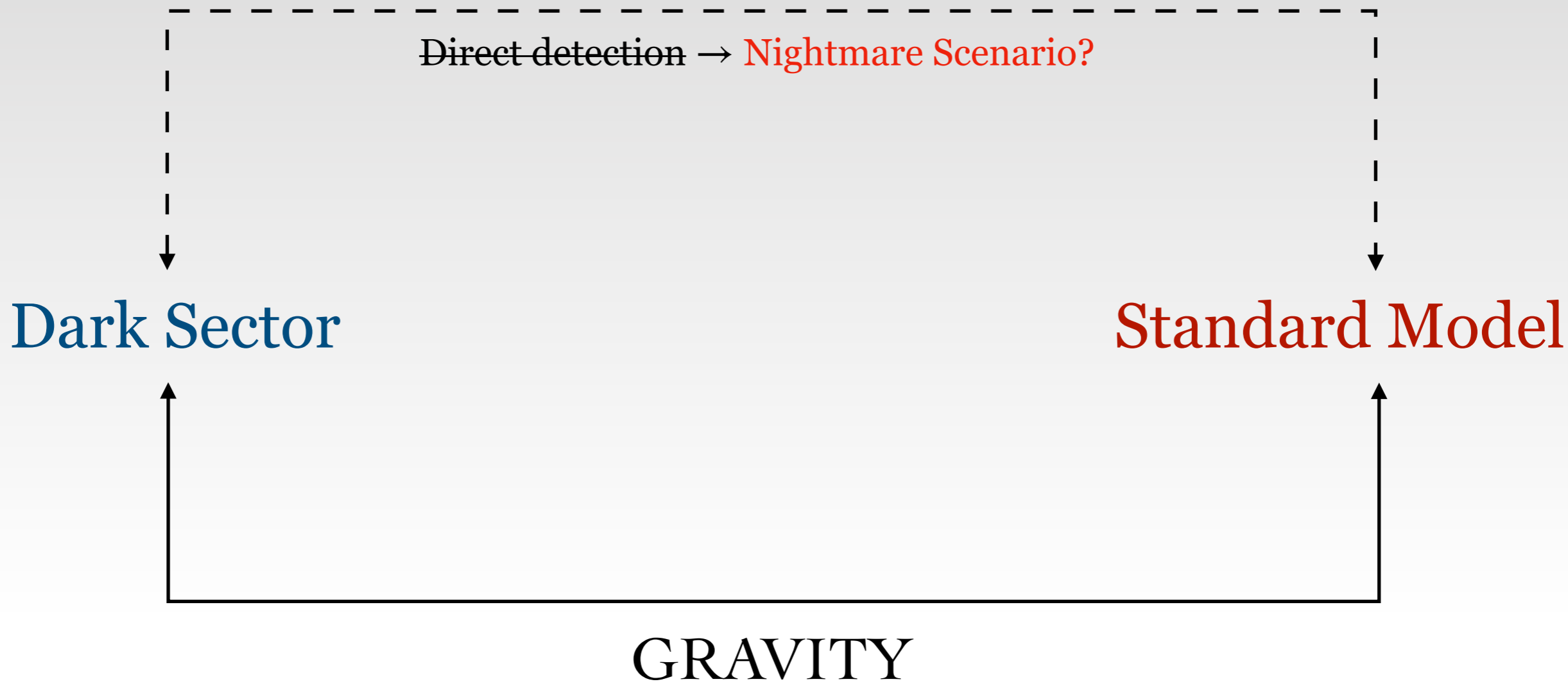
# Probing Axionic Instabilities in the late Universe via CMB-B mode

Subhajit Ghosh

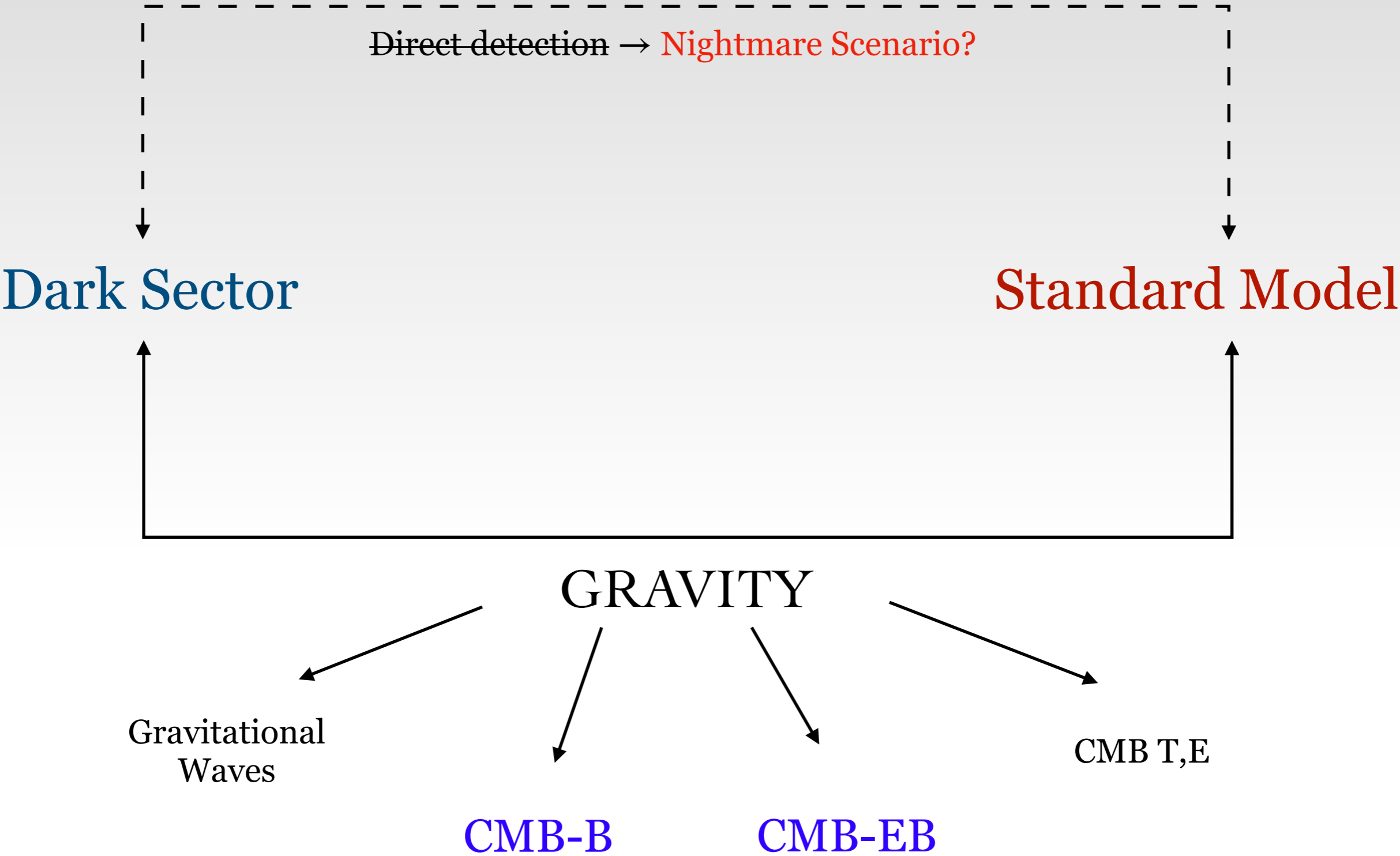
w/ Michael Geller, Sida Lu, Yuhsin Tsai



# Introduction



# Introduction



# Secluded Dark Sector: Axion

$$\frac{1}{2}\partial_\mu\phi\partial^\mu\phi - V(\phi) - \frac{1}{4}X_{\mu\nu}X^{\mu\nu} - \frac{\alpha}{4f}\phi X_{\mu\nu}\tilde{X}^{\mu\nu} \longrightarrow \text{Dark photon}$$

Initial condition:

$$\Omega_\phi \neq 0$$

$$\Omega_F = 0$$

$$\Lambda^4 \cos\left(\frac{\phi}{f}\right) \longrightarrow$$

$$m = \frac{\Lambda^2}{\sqrt{2}f}$$

Axion E.O.M  $\rightarrow$

$$\phi'' + 2aH\phi' + a^2\frac{\partial V}{\partial\phi} = \frac{\alpha}{f}a^2\mathbf{E}\cdot\mathbf{B}$$

Hubble friction

$m^2\phi$

$$m > H(z) \text{ at Matter Domination} \longrightarrow m \lesssim 10^{-28} \text{ eV}$$

# Tachyonic instability: Exponential production of Dark photon

$$\hat{X}^i(\mathbf{x}, \tau) = \int \frac{d^3k}{(2\pi)^3} \hat{X}^i(\mathbf{k}, \tau) e^{i\mathbf{k}\cdot\mathbf{x}} = \sum_{\lambda=\pm} \int \frac{d^3k}{(2\pi)^3} v_{\lambda}(k, \tau) \varepsilon_{\lambda}^i(\mathbf{k}) \hat{a}_{\lambda}(\mathbf{k}) e^{i\mathbf{k}\cdot\mathbf{x}} + \text{h.c.}$$

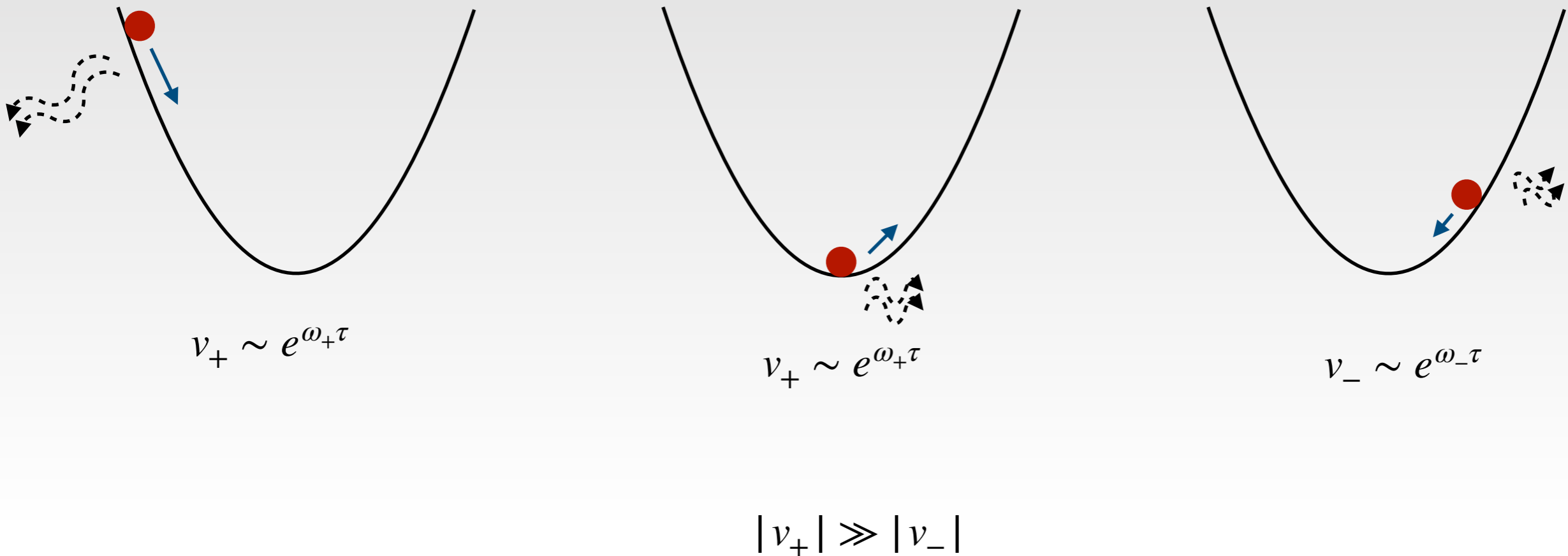
Dark Photon E.O.M  $\rightarrow$  
$$v_{\pm}''(k, \tau) + \omega_{\pm}^2(k, \tau) v_{\pm}(k, \tau) = 0$$

Time dependent frequency  $\rightarrow$  
$$\omega_{\pm}^2(k, \tau) = k^2 \mp k \frac{\alpha}{f} \phi'$$

$$0 < k < \frac{\alpha |\phi'|}{f} \longrightarrow \omega_{\pm}^2 < 0 \longrightarrow \boxed{v_{\pm} \sim e^{|\omega_{\pm}| \tau}}$$

Exponential growth

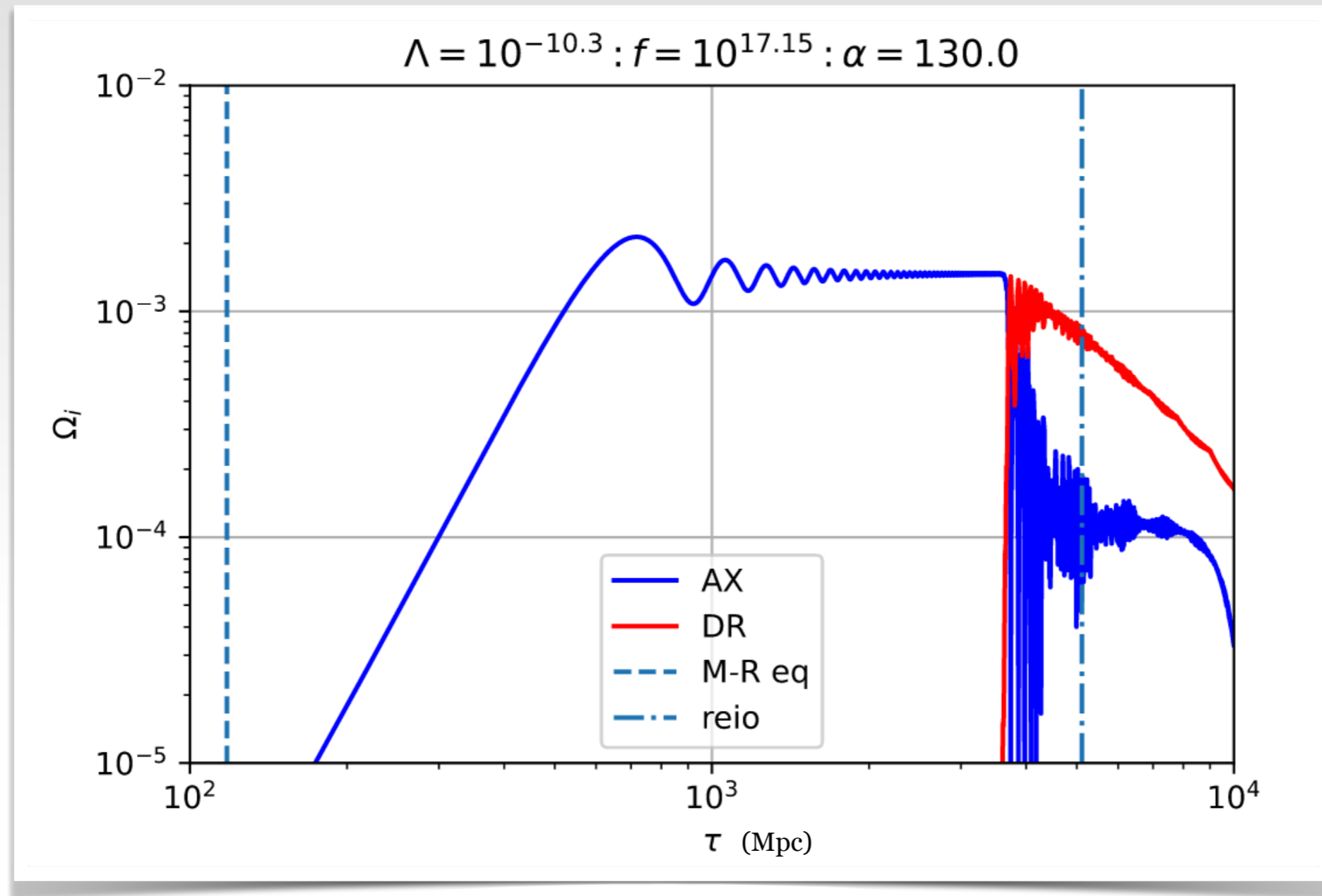
# Tachyonic instability: Exponential production of Dark photon



In our numerical calculation we only consider one helicity for simplicity

Did not include back-reaction of Dark photon gauge modes on Axion ( requires lattice study)

# Axion Energy gets transferred to DR



$\Lambda, f$  in GeV

$$m = 1.25 \times 10^{-29} \text{ eV}$$

# Dark photon sources metric fluctuations

The density perturbation in Dark Photon is very high  $\rightarrow$  sources metric fluctuation in Matter Domination

$$\langle \delta\rho_e^2 \rangle^{1/2} \sim 10^{-5} \rho_m$$

ISW Effect

Scalar Mode

$$\delta'_m + \theta_m = 3\Phi',$$

$$\theta'_m + \frac{a'}{a} \theta_m = -\Phi,$$

$$k^2 \Phi + 3 \frac{a'}{a} \Phi' + 3 \left( \frac{a'}{a} \right)^2 \Phi = -4\pi G_N a^2 (\delta\rho_e + \delta\rho_m)$$

$$\Theta_0(\mathbf{n}) = \sum_l i^l (2l+1) \int \mathcal{D}k \tilde{\Theta}_l(\mathbf{k}) P_l \left( \frac{\mathbf{k} \cdot \mathbf{n}}{k} \right)$$

$$\tilde{\Theta}_l(\mathbf{k}) = 2 \int_{\tau_{rec}}^{\tau_0} d\tau \Phi'(\mathbf{k}, \tau) j_l[k(\tau_0 - \tau)],$$

$$C_l^{TT} = \frac{1}{4\pi} \int d\mathbf{n}' d\mathbf{n}'' \Theta_0(\mathbf{n}') \Theta_0(\mathbf{n}'') P_l(\mathbf{n}' \cdot \mathbf{n}'')$$

Similar  $C_\ell^{EE}$  expressions

Tensor Mode

$$\bar{h}''_{ij} + \left( k^2 - \frac{a''}{a} \right) \bar{h}_{ij} = \frac{2}{M_{Pl}^2} a \Pi_{ij}(\mathbf{k}, \tau)$$

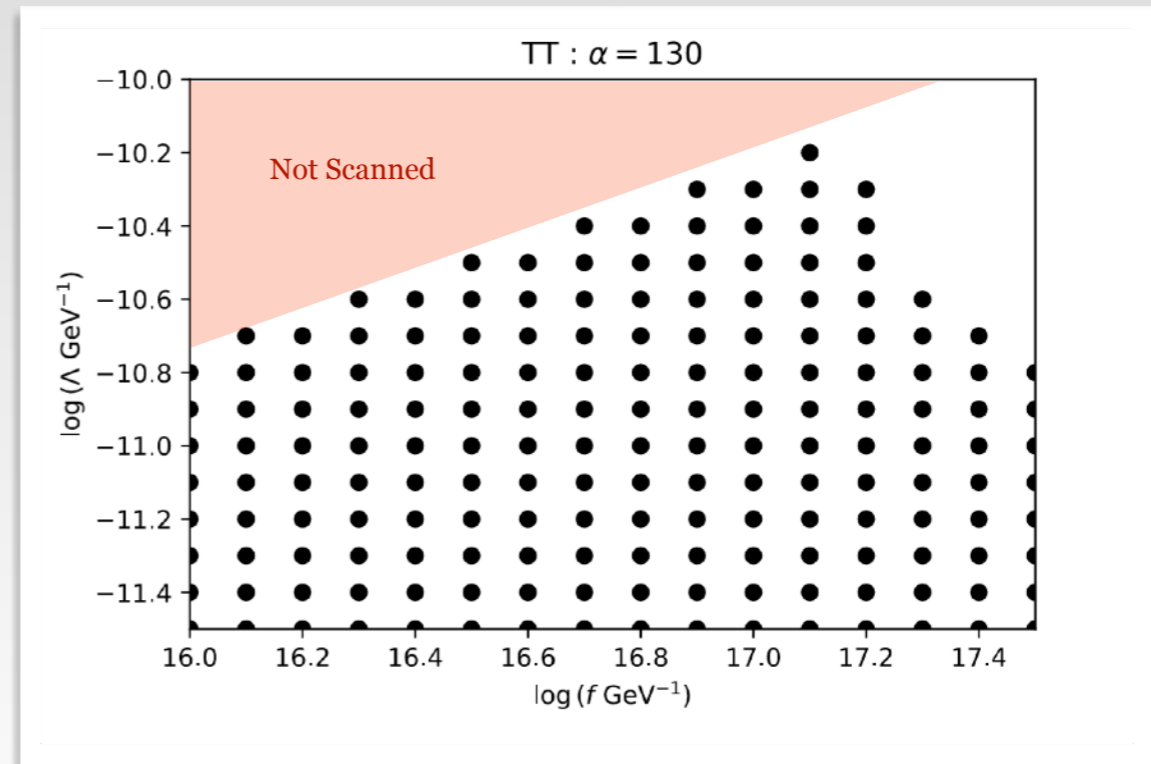
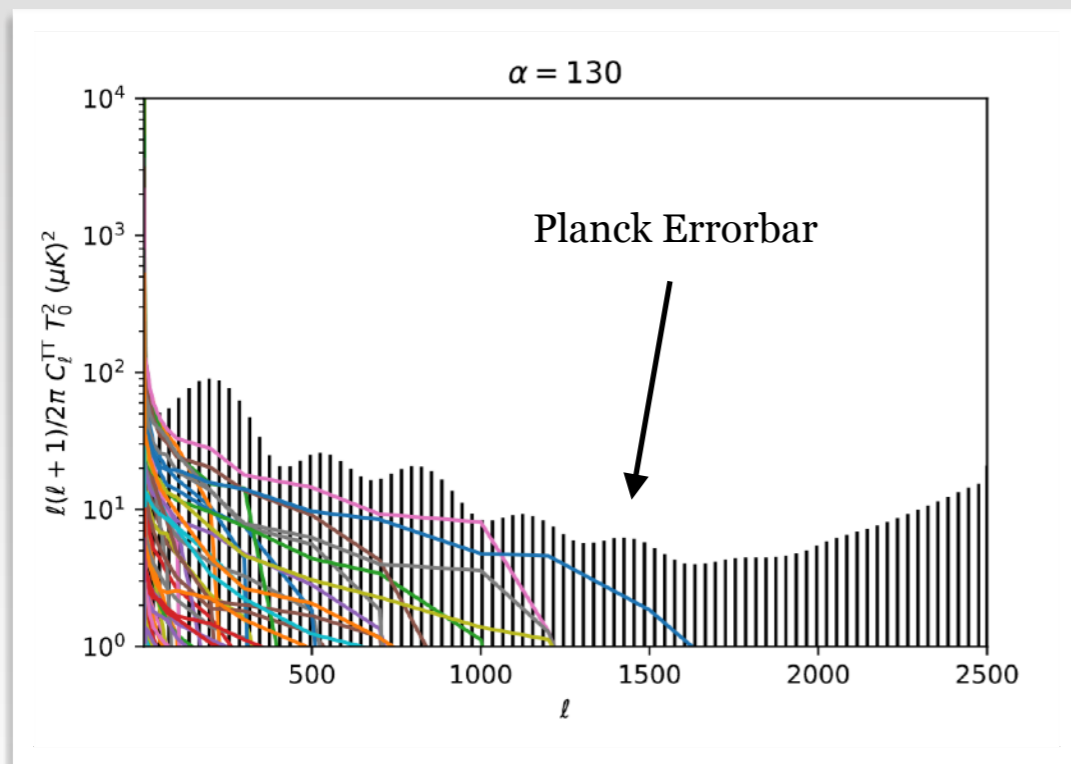
$$C_l^{BB} = 36\pi \tau_{rei}^2 \int \mathcal{D}k \mathcal{D}k' \mathcal{J}_{l,B}^2(k) \cdot \left\langle \left\{ \int_{\tau_{rec}}^{\tau_{rei}} d\tau h'_{ij}(k, \tau) \frac{j_2[(\tau_{rei} - \tau)k]}{(\tau_{rei} - \tau)^2 k^2} \right\}^2 \right\rangle$$

Similar  $C_\ell^{TT}$  and  $C_\ell^{EE}$  expressions

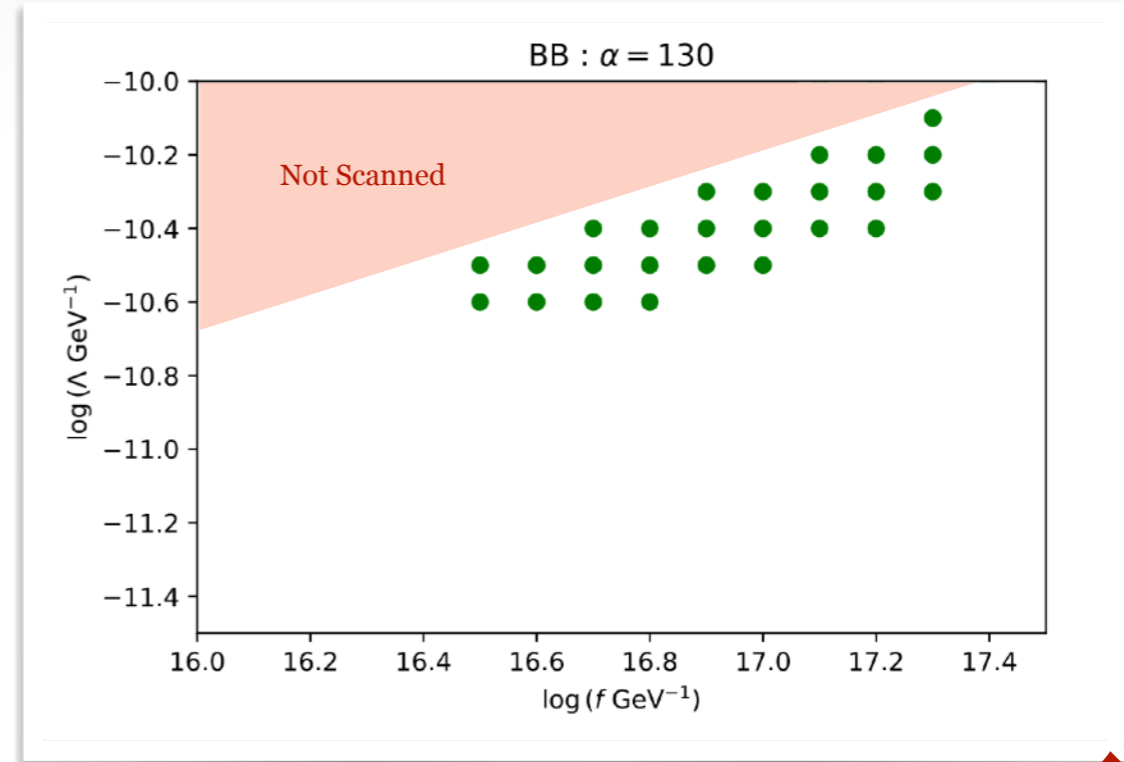
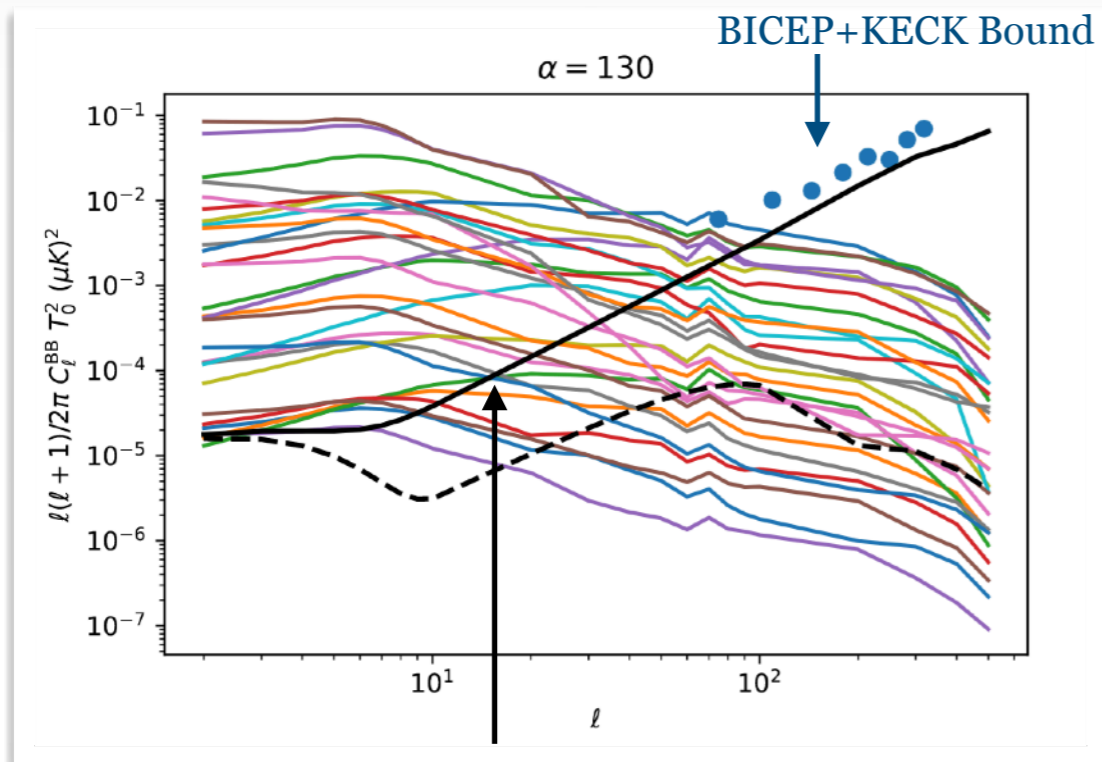
Mode solution & Spectrum computed numerically from scratch  $\rightarrow$  Huge Numerical Challenge



# Constraints from CMB TT+EE+BB measurement

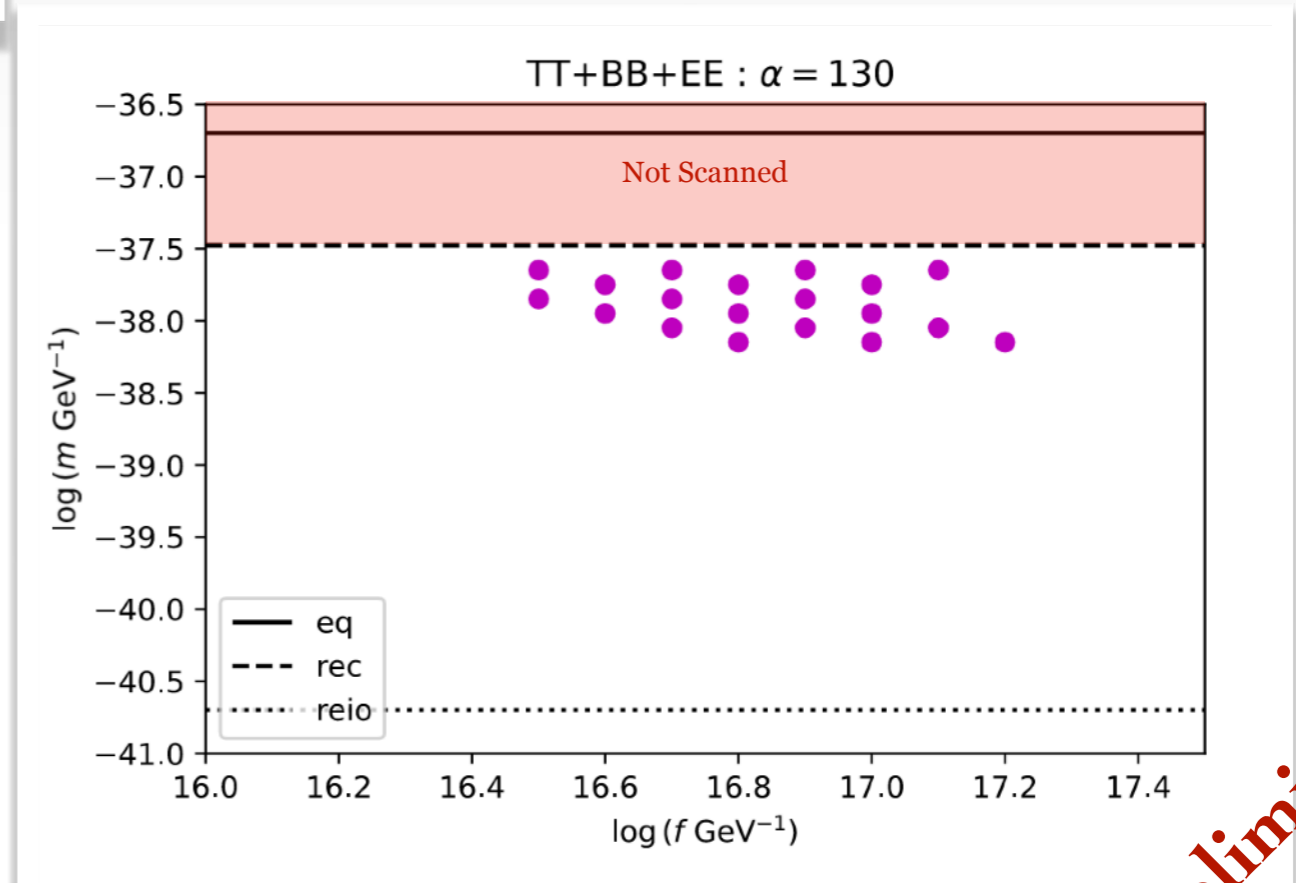
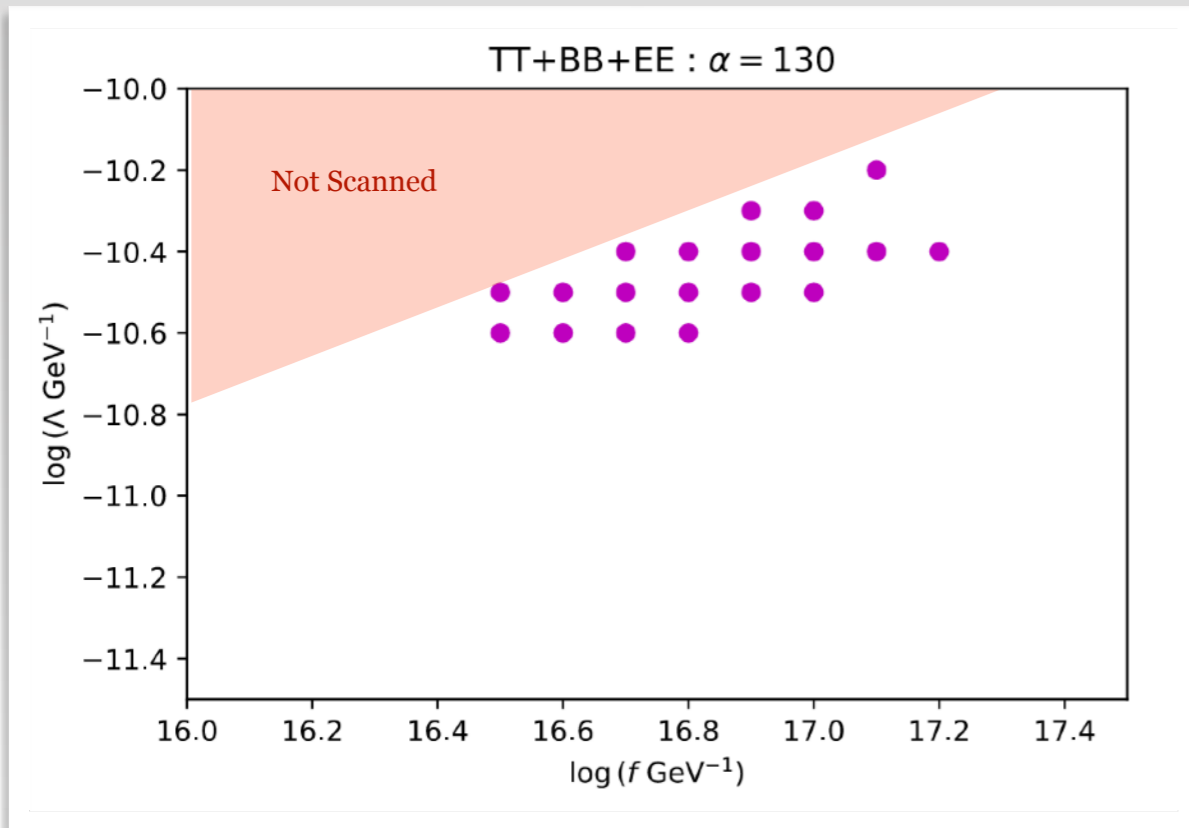


Similar plots for EE



Primordial+Lensing for  $r = 10^{-3}$   
(Future B mode experiment sensitivity)

# Combined CMB TT+EE+BB Constraint (preliminary)



# CP Violation: Non-zero **EB** correlation

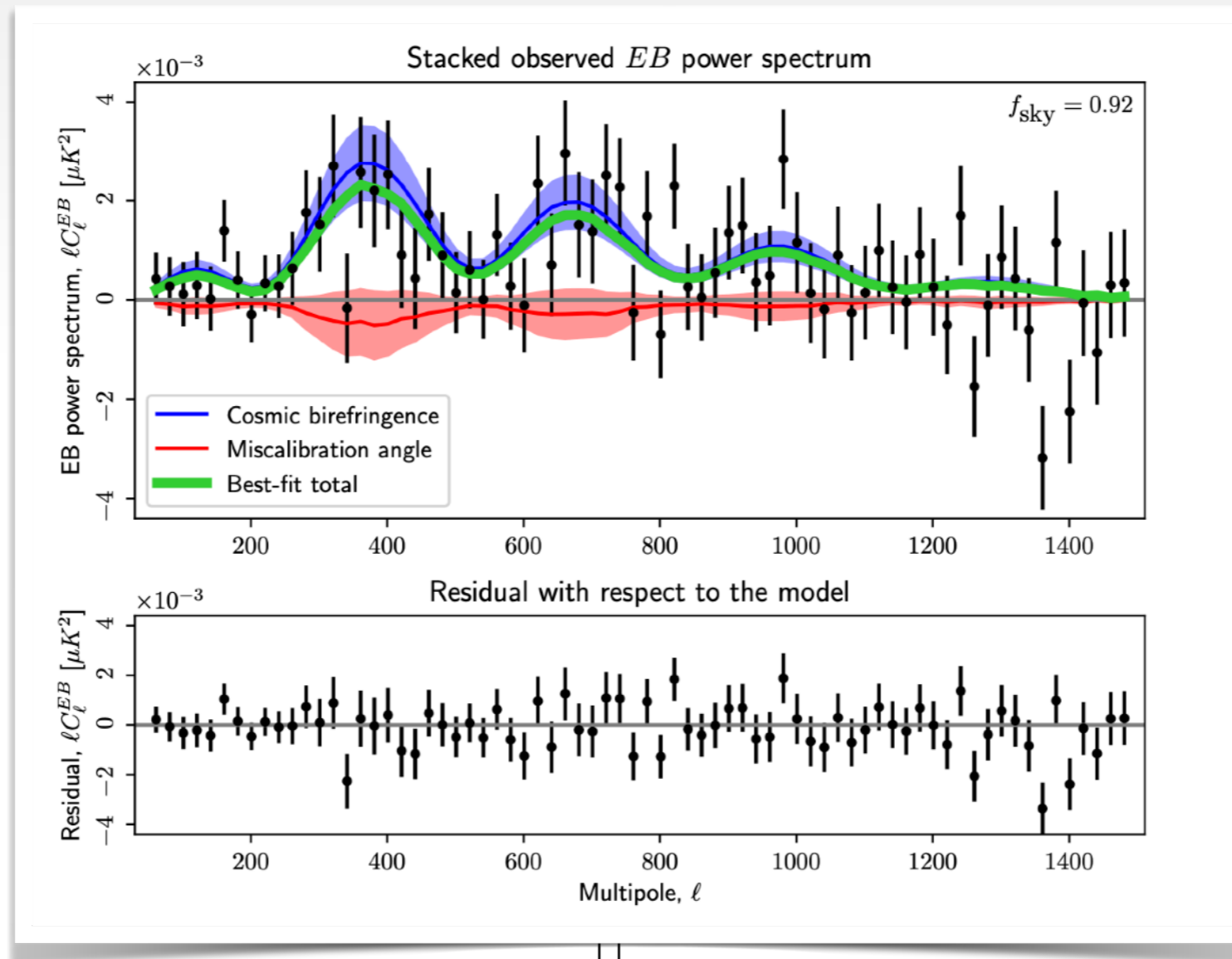
$$\frac{\alpha}{4f} \phi X_{\mu\nu} \tilde{X}^{\mu\nu}$$

Breaks CP as  $\phi$  takes a background value

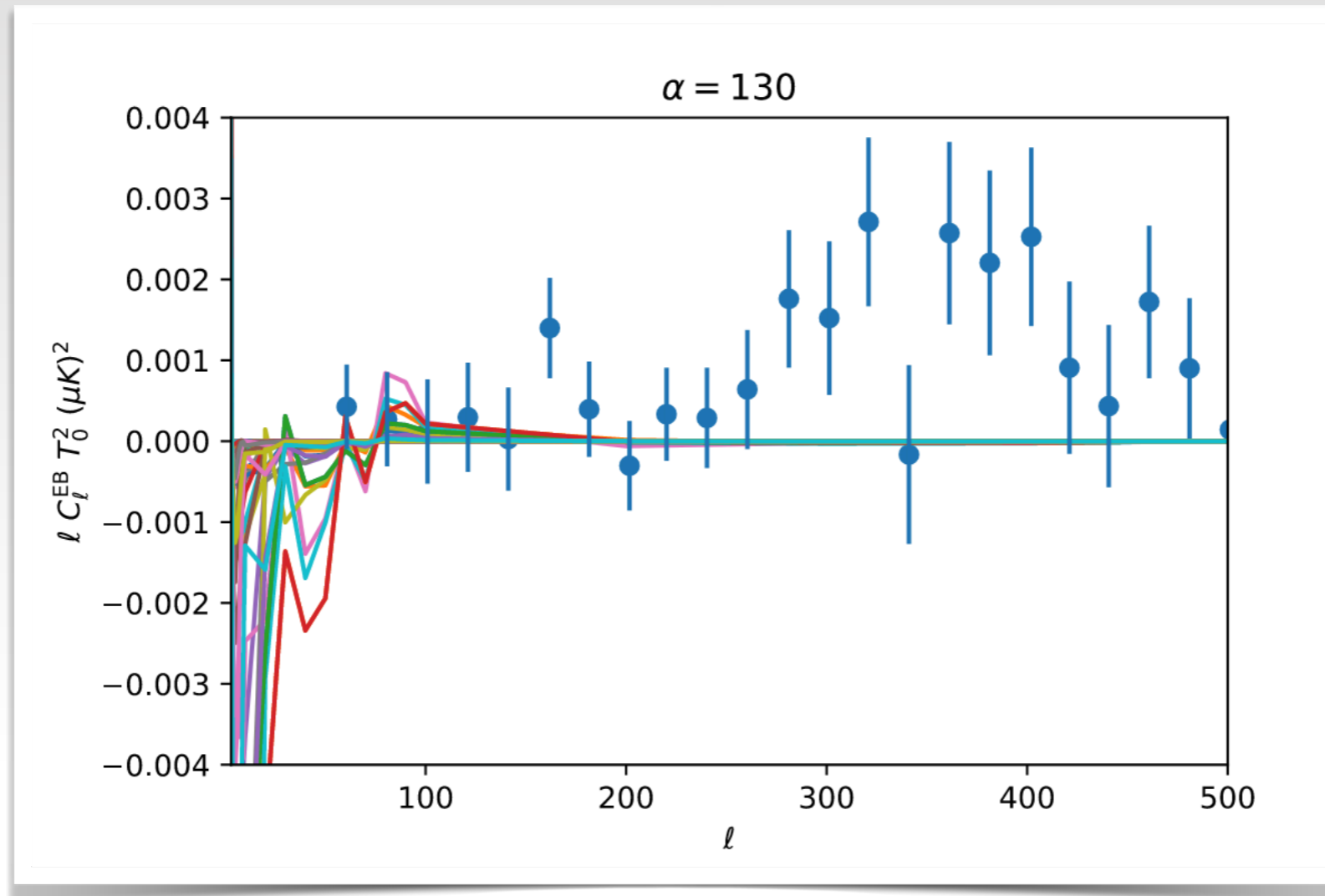
One helicity is enhanced compared to other  $\equiv$  CP Violation

Recent measurement  
of CP violation  
from CMB in terms  
of birefringence angle  
CP violation seen  
at  $3.6\sigma$

Eskilt et. al.,  
arXiv: 2205.13962



# Non-zero EB correlation from Axion



The signal does not have large support at small scale (unable to explain the CP violation)

Predicts very large CP violation at large scale

**Preliminary**

# Conclusion

- Completely secluded dark sectors can be probed via gravitational effects
- Tachyonic instability generates exponential growth for dark photon
- Preliminary studies show the signal is not strongly affected by back-reaction
- Axion - Dark photon system generates sizable B mode signal for future  
B mode experiments
- Produces CP violating EB signal at large scale

Stay tuned for the complete analysis (arXiv: 2212.xxxxx)

*THANK YOU*