



Applying ML Techniques to Searches for Lepton-Partner Pair-Production at Intermediate Mass Gap at the LHC

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collaborators

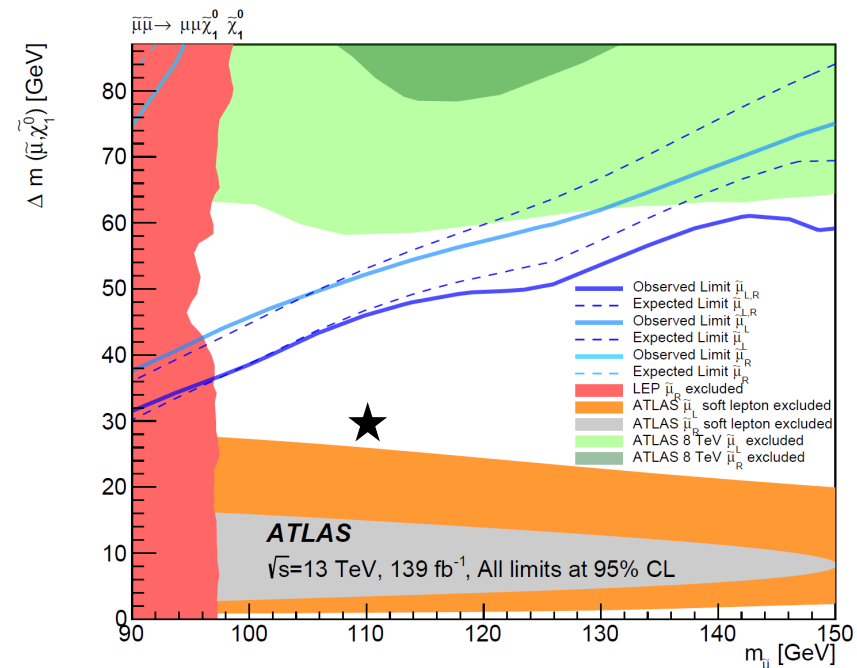
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- Pearl Sandick
- Marcus Snedeker
- Patrick Stengel
- **Joel W. Walker**





lepton partners at intermediate Δm

- searches at the LHC
 - $pp \rightarrow \gamma, Z \rightarrow \tilde{\ell} \tilde{\ell}^*$
 - $\tilde{\ell} \rightarrow \ell X$
 - $\Delta m = m_{\tilde{\ell}} - m_X \sim 30 - 50 \text{ GeV}$
- **many models**, including MSSM
 - $\tilde{\ell} = \text{slepton}$, $X = \text{bino LSP}$
- **tough** to constrain
 - **leptons** tend to be **soft**
 - **EW bgds** produce ℓ and MET (ν) with **similar energies**
- LHC mass reach no better than LEP for $\tilde{\ell} = \tilde{\mu}_R$

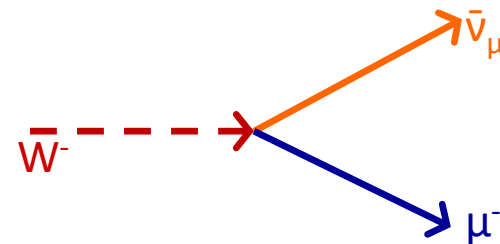
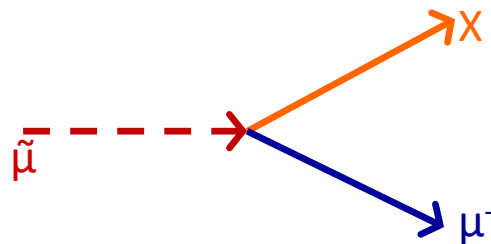
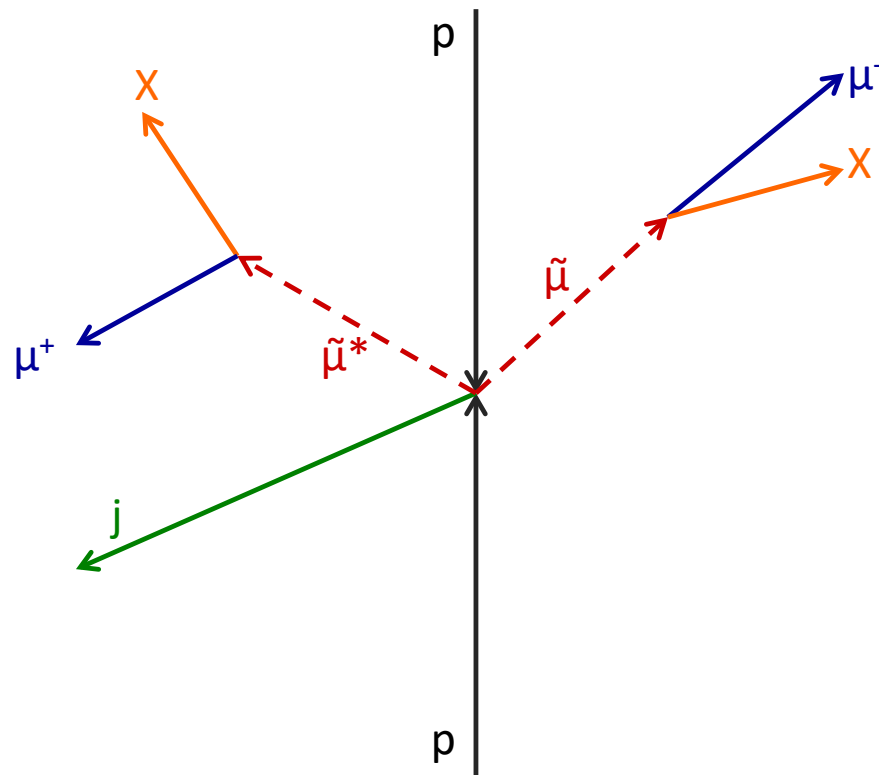


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strategies and difficulties

- can demand a **recoil jet** to give leptons a **transverse boost**
- **reduce threshold** for lepton ID
- helps when mass splitting is small or large
- but **hard** when MPT of signal is similar to p_T of ν from **W/Z decay**
- rely on **kinematic/angular dists.** which distinguish parent, MET
- **detailed cuts**, but hard to find overarching principle





machine learning

- can we make progress with machine learning?
- we use a boosted decision tree (BDT)
 - will give us feedback on which kinematic variables are useful
 - help us reconstruct what the machine learned
- rotate training sample with analysis sample for reliability
- details of the BDT implementation
- use XGBoost
- depth = 5
- maximum number of trees = 50
- learning rate = $\frac{1}{2}$



signal and background

- signal topology is $\mu^+ \mu^-$, 1 non-b-jet, MET (hadronic τ veto)
- signal benchmark
 - $m_{\tilde{\mu}R} = 110$ GeV, $m_X = 80$ GeV
- leading backgrounds
 - $\mu^+ \mu^- jjj$ (via Z, γ) (MET from missed jet)
 - $\tau^+ \tau^- jjj$ (via Z, γ) (MET, μ from τ decay)
 - $\bar{t} t jj$ ($t \rightarrow b W$, b missed/mistagged)
 - $W^+ W^- jj$ ($W \rightarrow \mu \nu$)
 - $ZZ jj$ ($Z \rightarrow \mu^+ \mu^-$, $Z \rightarrow \nu \nu$)
 - $WZ jj$ ($Z \rightarrow \mu^+ \mu^-$, $W \rightarrow \tau \nu$, τ mistag)
- details of the simulation
- generate events \rightarrow MadGraph 5
- showering, hadronization \rightarrow Pythia8
- detector simulation \rightarrow DELPHES
- b-tag efficiency \rightarrow 85%
- hadronic τ -tag efficiency \rightarrow 85%



kinematic variables

- BDT uses **high-level kinematic variables**
- focus on variables distinguishing
 - mass/spin of parent
 - mass of invisible particle
- MET
- $m_{\mu\mu}$
- $\cos \theta^*_{\mu 1 \mu 2}$
- m_j
- $M_{T2}^{0,100}$
- $(M_{T2}^{100} - 100 \text{ GeV}) / M_{T2}^0$
- $\Delta\phi_{(j,\mu 1,\mu 2,\text{MET})}$
- M_{eff}
- H_T
- $m_{\tau\tau}$
- $p_T^{j,\mu 1,\mu 2}$
- $p_T^{j,\mu 1,\mu 2} / \text{MET}$
- $\eta_{\mu 1,\mu 2,j}$
- $\tanh |\Delta\eta_{(\mu 1,\mu 2,j)}|$



the trouble with backgrounds

- several **bgds** are **larger than signal**, but have **large hierarchies**
- largest bgds are **easy to remove**
- $pp \rightarrow Z j(jj) \rightarrow \mu^+ \mu^- j$ MET is the largest bgd by far ...
 - but easily removed using $m_{\mu\mu}$
- but **can't proceed** unless we can **kill the harder backgrounds** also
- should we **curate data** to focus the BDT on the hard tasks?

- before precuts ...

process	cross section (fb)
signal	12.3
$\mu^+ \mu^- jjj$	12500
$\tau^+ \tau^- jjj$	589
$t\bar{t} jj$	65.6
$W^+ W^- jj$	73.5
$WZ jj$	46.8
$ZZ jj$	26.6



What does WOPR recommend, Mr. McKittrick?

A dilepton mass veto around
the Z-pole.

Ha ... I need some machine to tell me that?



precuts and logic

- veto $m_{\mu\mu} \in 91 \pm 10 \text{ GeV}$
 - kill $Z \rightarrow \mu^+\mu^-$
- require $\text{MET} > 75 \text{ GeV}$
 - kill MET via jet mismeasurement
- require $\cos \theta^*_{\mu\mu} < 0.5$
 - prefers a spin-0 parent
- rough goal
 - precuts we understand
 - all bgds have roughly comparable cross sections, and ...
 - ... not much more than 10-100 times larger than signal

- after precuts ...

process	cross section (fb)
signal	3.27
$\mu^+\mu^-jjj$	15.7
$\tau^+\tau^-jjj$	48.7
$t\bar{t}jj$	15.3
W^+W^-jj	13.7
$WZjj$	0.876
$ZZjj$	0.512

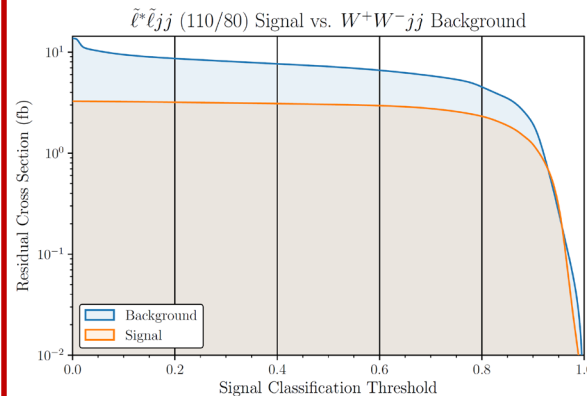
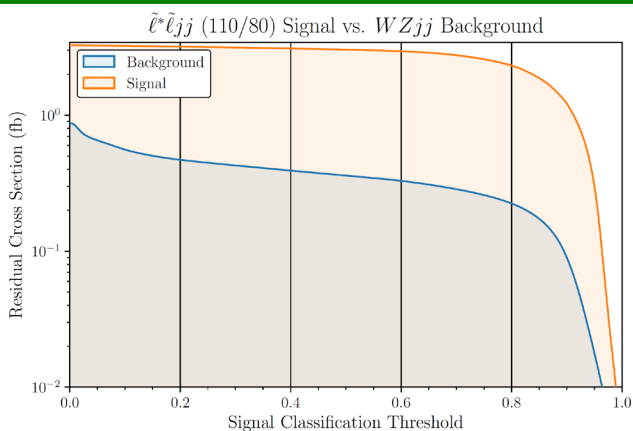
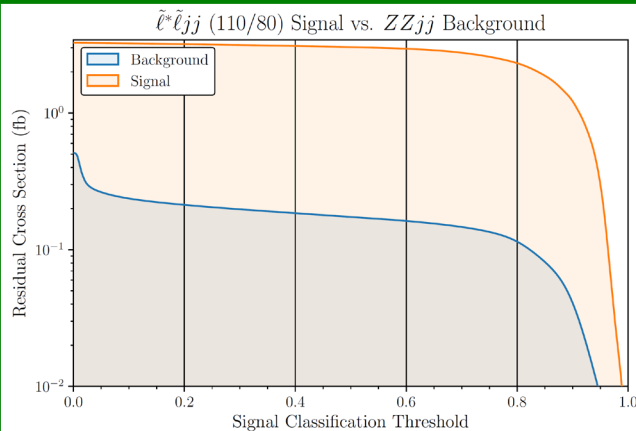
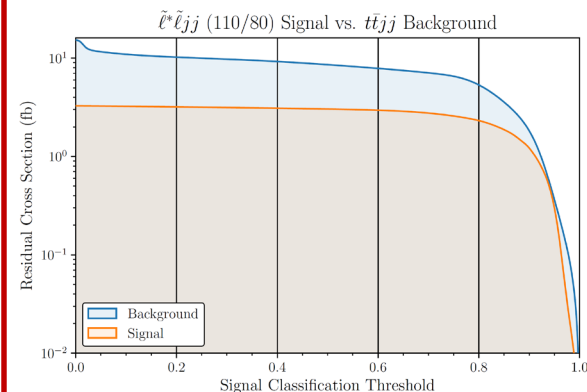
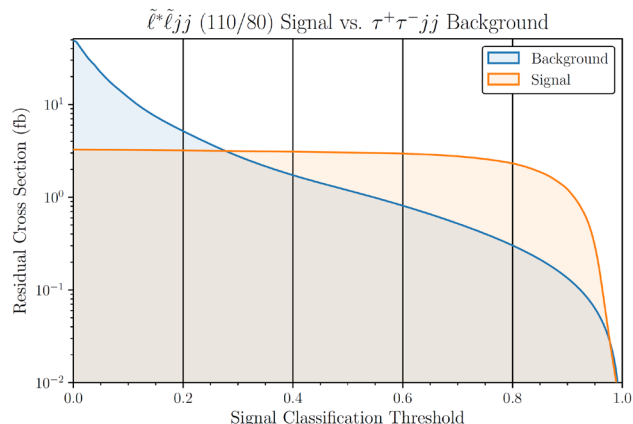
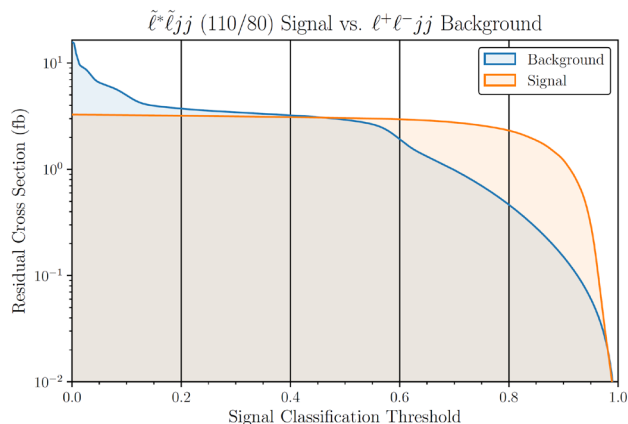


the trouble with simulation

- BDT **works hardest** on phase space regions w/ **small cross sections**
- easy to **undersample** these regions
 - not good if BDT training focused on only a **few events**
- generate signal and bgd simulation in **kinematic tranches** to ensure that tails are sufficiently sampled



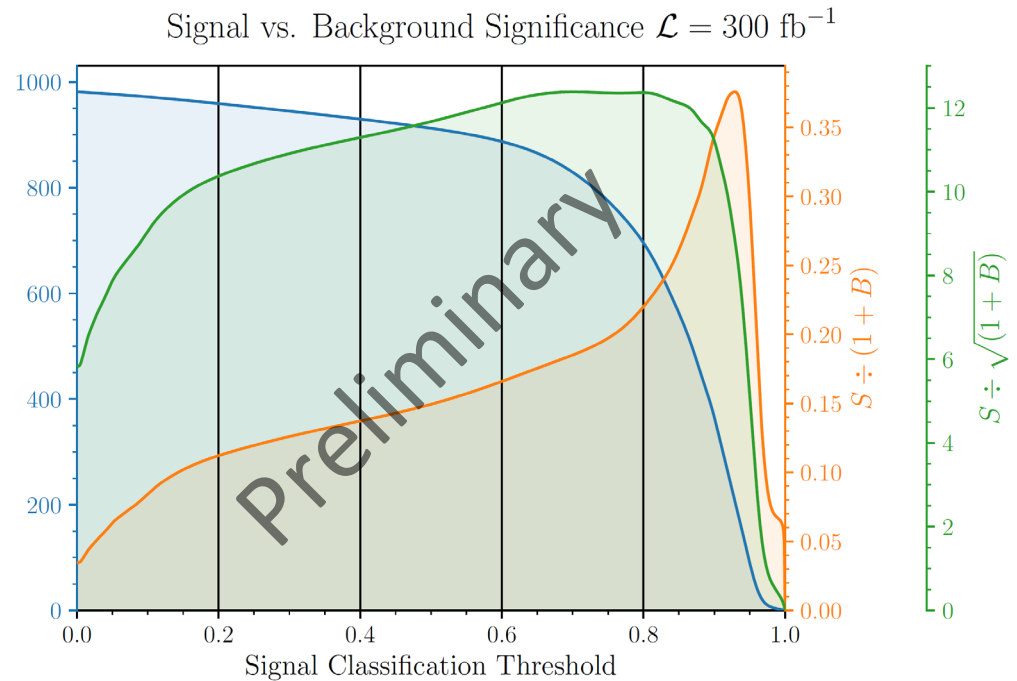
discriminating signal from bgd.





results

- **precuts** kill **WZ** and **ZZ**
- **BDT** easily kills $\bar{\mu}\mu, \bar{\tau}\tau$
 - little loss of signal
- **BDT** **earns its pay** w/ **W^+W^-** , **$\bar{t}t$**
- roughly **$S = 300$** , **$S/B \sim 0.5$** , at best
- so expect maybe \sim **10σ**



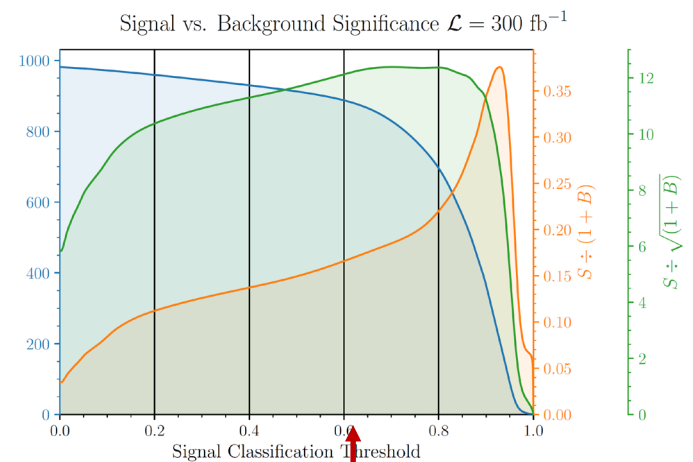
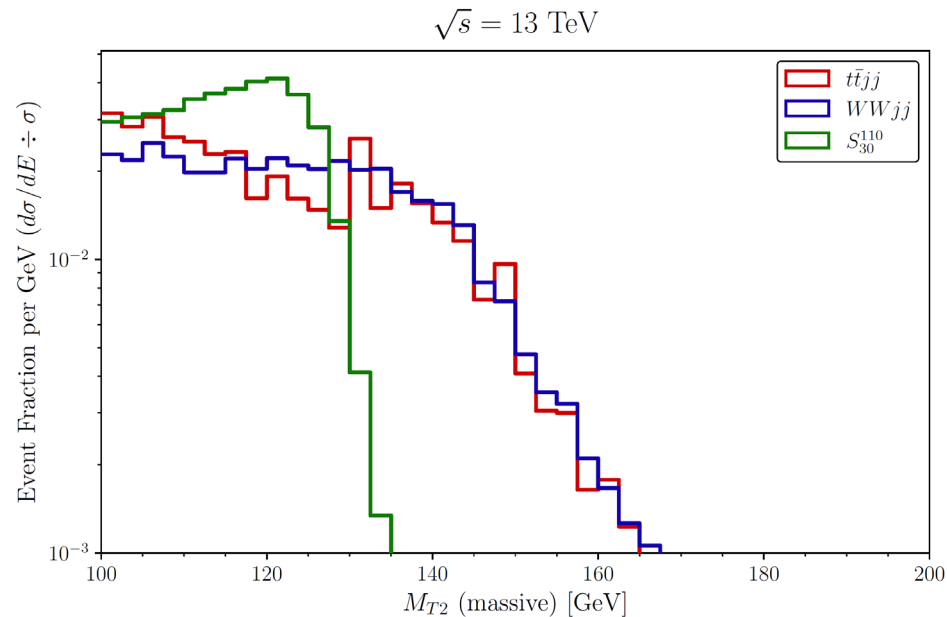
$$m_{\tilde{\mu}_R} = 110 \text{ GeV}$$
$$m_{\chi} = 80 \text{ GeV}$$

sensitivity scan
upcoming!



what did the BDT learn?

- for W^+W^- and $t\bar{t}$ bgd, M_{T2}^{100} dominates the total gain
 - distinguishes mass of invisible particle
- assume we can kill all other bgd.
- 1000 signal, 4500 W^+W^- , 4500 $t\bar{t}$ after precuts
- cut on $m_{T2}^{100} < 130$ GeV
- 1000 signal, 6000 bgd
- $S/B \sim 0.15$, signif $\sim 10 \sigma$
- **BDT improves** on just cutting on important variables
 - **doubles S/B**



conclusion

- lepton partner searches at LHC difficult when splitting with invisible particles is 30-50 GeV
- tough to beat electroweak backgrounds
- confront with boosted decision tree (BDT)

- can get large improvements
- BDT identifies the important variables and correlations

Mahalo!



Backup Slides



event topology

- exactly 1 μ^+ and 1 μ^-
 - muon threshold $\rightarrow p_T > 3 \text{ GeV}$ (generator level)
- exactly 1 jet, not b-tagged
 - jet threshold $\rightarrow p_T > 30 \text{ GeV}$
- MET
- no hadronic τ -tag



tranching

- variables to base tranching on ...
- $\mu\mu jjj \rightarrow p_T^{\mu 1}$
- $\tau\tau jjj \rightarrow p_T^{\mu 1}$
- $\bar{t}t jj \rightarrow p_T^t$ (not \bar{t})
- $WW jj \rightarrow p_T^{\mu 1}$
- $WZ jj \rightarrow p_T^Z$
- $ZZ jj \rightarrow$ decay one Z, tranche using p_T of remaining Z
- bounds on variable for each tranche ...
- 0, 50, 100, 150, 200, 300, 400, 500, 750, 1000, 1500 GeV

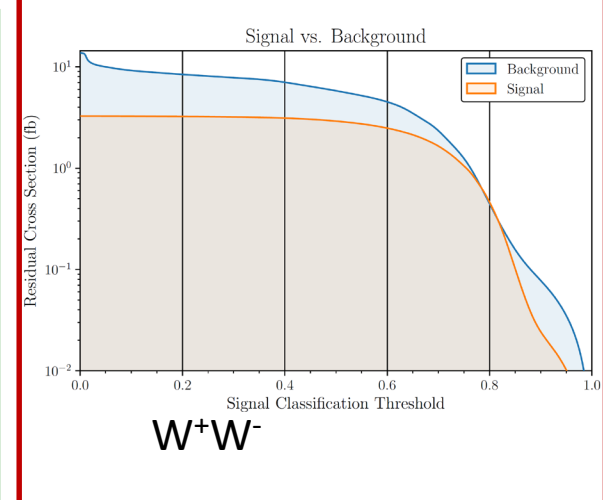
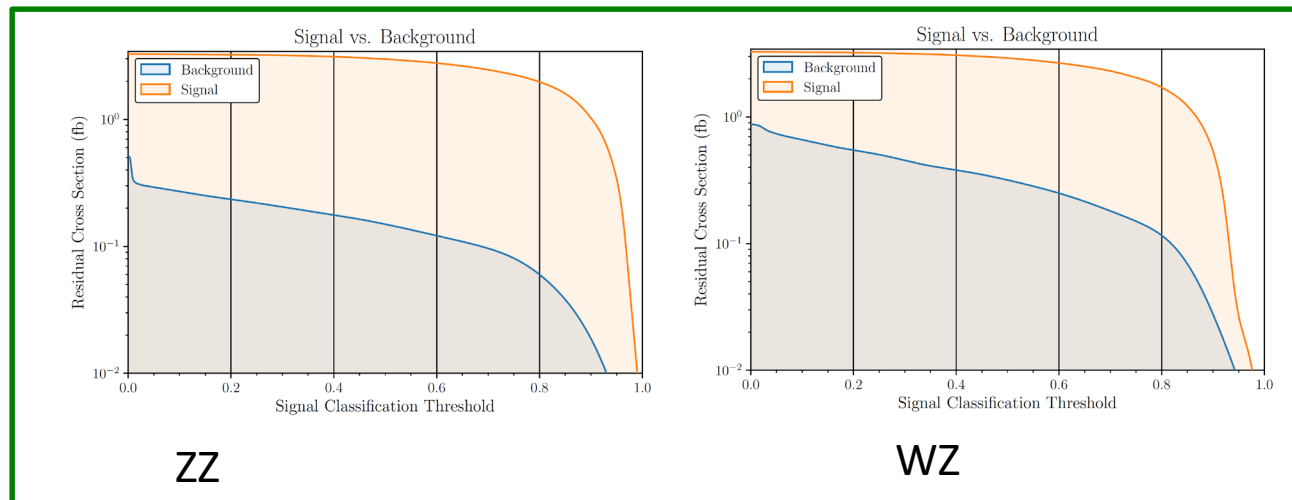
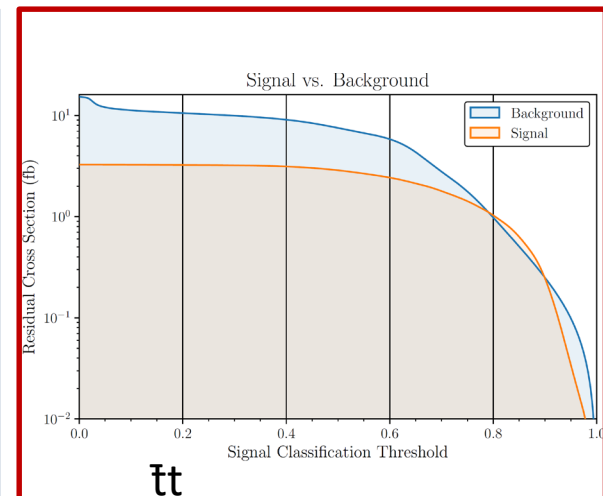
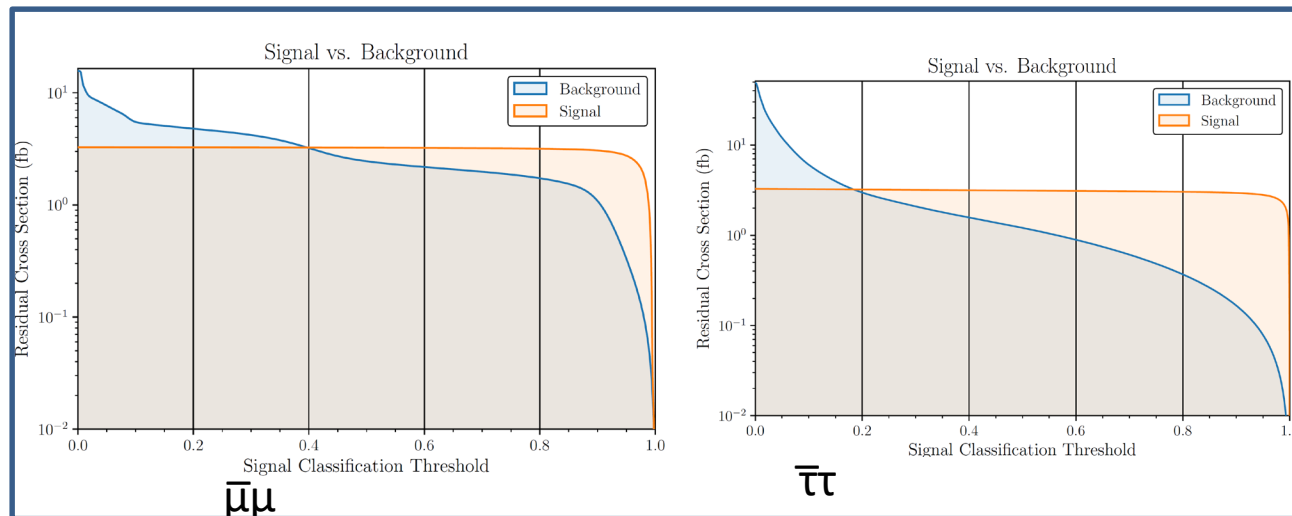


$\cos \theta_{\mu\mu}^*$ and M_{T2}^{100}

$$\cos \theta_{\mu\mu}^* = \tanh \left| \Delta \eta_{\mu 1 \mu 2} / 2 \right|$$



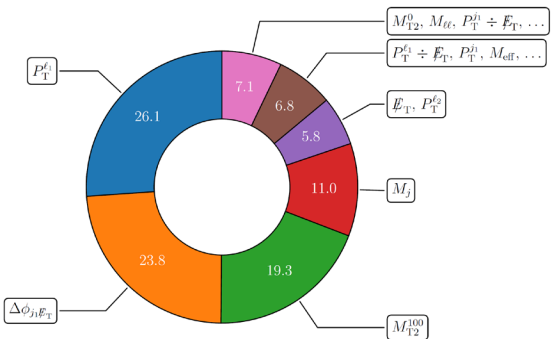
discriminating signal from bgd.



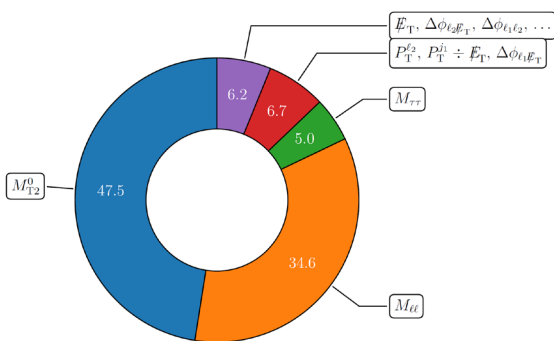


gain

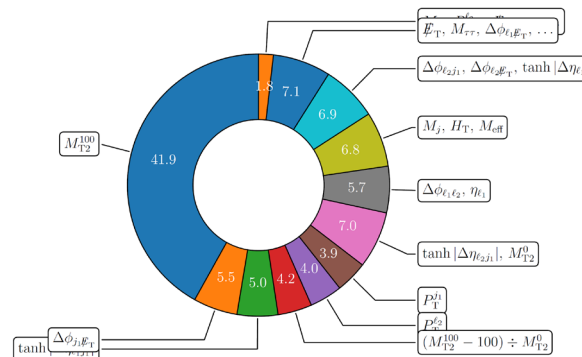
$\tilde{\ell}^* \tilde{\ell} jj$ (110/80) Signal vs. $\ell^+ \ell^- jj$ Background



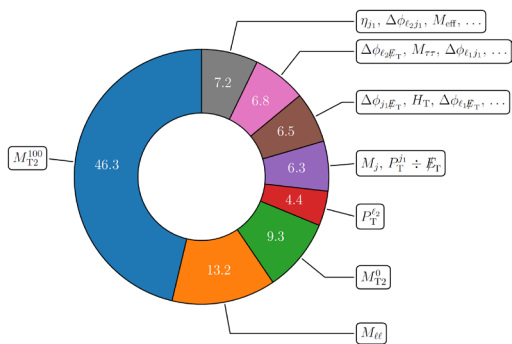
$\tilde{\ell}^* \tilde{\ell} jj$ (110/80) Signal vs. $\tau^+ \tau^- jj$ Background



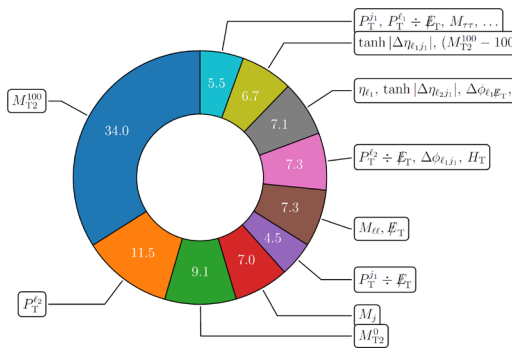
$\tilde{\ell}^* \tilde{\ell} jj$ (110/80) Signal vs. $t\bar{t} jj$ Background



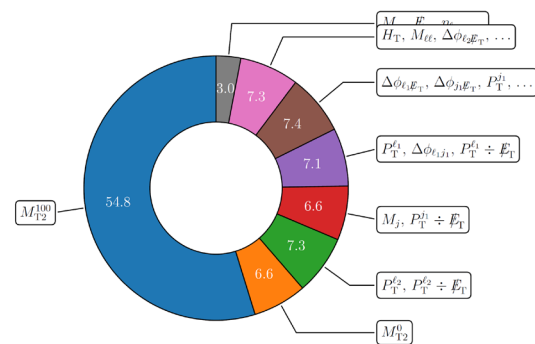
$\tilde{\ell}^* \tilde{\ell} jj$ (110/80) Signal vs. $ZZjj$ Background



$\tilde{\ell}^* \tilde{\ell} jj$ (110/80) Signal vs. $WZjj$ Background



$\tilde{\ell}^* \tilde{\ell} jj$ (110/80) Signal vs. $W^+ W^- jj$ Background





sensitivity scan