

Physics implications of Dresden-II reactor data

Magnificent CE ν NS Conference, 2023

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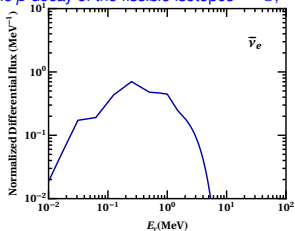
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Recent First Observation of $\text{CE}\nu\text{NS}$ by Reactor $\bar{\nu}_e$ at Dresden-II Facility

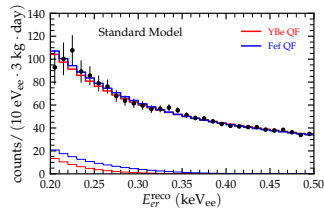


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Produced through the β decay of the fissile isotopes ^{235}U , ^{238}U , ^{239}Pu , ^{241}Pu .



- Low energy, yet yielding very high fluxes possible.
- Require very low threshold (typically sub-keV nuclear recoil threshold) to observe $\text{CE}\nu\text{NS}$.
- Very low signal rate expected: Robust background rejection essential.

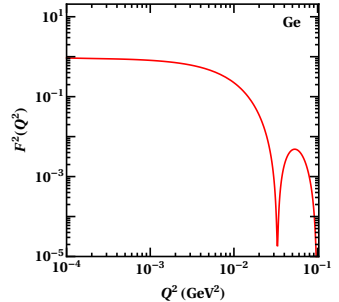


- Dresden-II uses a 3 kg germanium detector, namely NCC-1701.
- The experiment collected beam-on data for 96.4 days, located 10.39 meters from the Dresden-II reactor, with a low detection threshold of 0.2 keV_{ee}.

CE ν NS is a fascinating process where low-energy neutrinos interact coherently with atomic nuclei, allowing us to study neutrinos and nuclei properties as well as to search for new physics beyond the Standard Model.

Freedman, 1974

$$\left. \frac{d\sigma}{dE_{nr}} \right|_{\text{SM}} = \frac{G_F^2 m_N}{\pi} Q_{\text{SM}}^2 \left(1 - \frac{m_N E_{nr}}{2E_\nu^2} - \frac{E_{nr}}{E_\nu} \right) F^2(E_{nr})$$

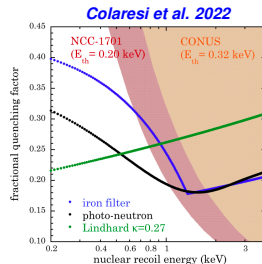


Simulation of the Dresden-II signal



- Depending upon the various CE ν NS interaction channels, efficiency corrected events have been computed with incorporating the resolution effects by smearing the “electron equivalent” ionization energy, E_{er}^{true} into measured (or “reconstructed”) ionization energy, E_{er}^{reco} through a truncated Gaussian function.
- The nuclear recoil energy, E_{nr} is converted into E_{er}^{true} using the **Quenching factor**:
$$E_{er}^{\text{true}} = Q_f(E_{nr}) E_{nr}$$
- Dresden-II collaboration reported 2 different Quenching Factor models:

- 1 Fef: iron filtered neutron beam
- 2 YBe: photo-neutron $^{88}\text{Y}/\text{Be}$ source



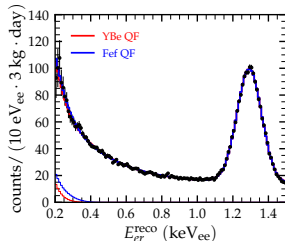
Background Fitting



In the ROI of Dresden-II, the background model is reported by the collaboration. It depends on four individual components, coming from **epithermal neutrons** and **three electron capture (EC) peaks**.

$$R_{\text{bkg}} = N_{\text{epith}} + A_{\text{epith}} e^{-\left(\frac{E_{\text{er}}^{\text{reco}} - E_{\text{epith}}}{\tau_{\text{epith}}}\right)} + \sum_{i=L_1, L_2, M} A_i e^{-\left(\frac{E_{\text{er}}^{\text{reco}} - E_i}{\sqrt{2}\sigma_i}\right)^2}$$

For a proper analysis the background must be fitted with signal using the prescription given in the ancillary file of **PRL 129 no. 21, (2022) 211802**.



Standard Model and Beyond

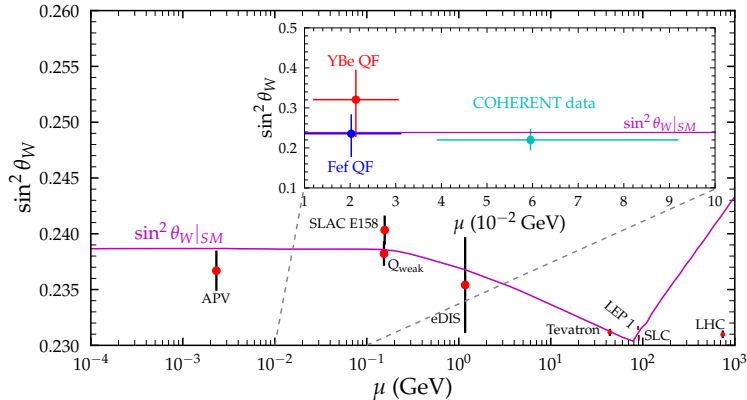
Weak Mixing Angle



The CE ν NS interaction rate is proportional to $Q_{SM}^2 = \left[\left(\frac{1}{2} - 2\sin^2 \theta_w \right) Z - \frac{1}{2}N \right]^2$.

$$\left. \begin{array}{l} \text{YBe: } \sin^2 \theta_w = 0.321^{+0.075}_{-0.094} \\ \text{Fef: } \sin^2 \theta_w = 0.236^{+0.048}_{-0.058} \end{array} \right\}$$

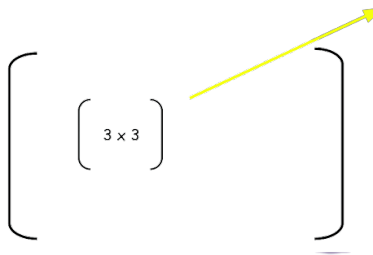
[Majumdar, Papoulias, Srivastava, Valle, PRD 106 (2022) 9, 093010]



Violation of lepton unitarity



- Flavour conversion happens when neutrinos travel from their source to the detector.
- Two factors are required for this phenomenon to occur:
 - 1 Mixing between flavour and mass eigenstates.
 - 2 Non-zero neutrino masses: $\Delta m^2 \neq 0$.
- In the typical analysis of neutrino oscillation data, the mixing matrix U is assumed to be unitary (i.e., $UU^\dagger = 1$) where $\nu_\alpha = U_{\alpha i} \nu_i$.
- However, the unitarity of the neutrino mixing matrix is yet to be proven, hence we can consider a typical scenario where the (Effective) mixing matrix of light neutrinos is a subset of a larger unitary mixing matrix involving mixing with additional heavy particles, making U_{PMNS} non-unitary.



$$N = N^{\text{NP}} U^{3 \times 3} \quad N^{\text{NP}} \equiv \begin{pmatrix} \alpha_{11} & 0 & 0 \\ \alpha_{12} & \alpha_{22} & 0 \\ \alpha_{13} & \alpha_{23} & \alpha_{33} \end{pmatrix}$$

[Escribuela, Forero, Miranda, Tortola, Valle, PRD 92 5, 053009]

Violation of lepton unitarity



- The simplest example where Non-Unitarity can be generated: The Standard Model augmented with heavy singlet fermions, N_i . By 'heavy', we mean:
 - Masses that are much larger than the energies of neutrino oscillation experiments.
 - This is a 'minimal' realization of Non-Unitarity in the sense that: it only introduces new physics in the neutrino sector, and it only involves the 3 light neutrinos.
- The oscillation probabilities in the presence of NU are expressed as

$$P_{ee} = \alpha_{11}^4 P_{ee}^{3 \times 3},$$

$$P_{e\mu} = (\alpha_{11}\alpha_{22})^2 P_{e\mu}^{3 \times 3} + \alpha_{11}^2 \alpha_{22} |\alpha_{21}| P_{e\mu}^I + \alpha_{11}^2 |\alpha_{12}|^2,$$

$$P_{e\tau} = (\alpha_{11}\alpha_{33})^2 P_{e\tau}^{3 \times 3} + \alpha_{11}^2 \alpha_{33} |\alpha_{31}| P_{e\tau}^I + \alpha_{11}^2 |\alpha_{13}|^2$$

- For very short baseline experiments, such as Dresden-II

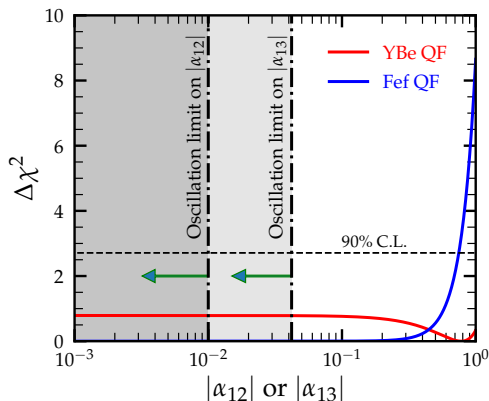
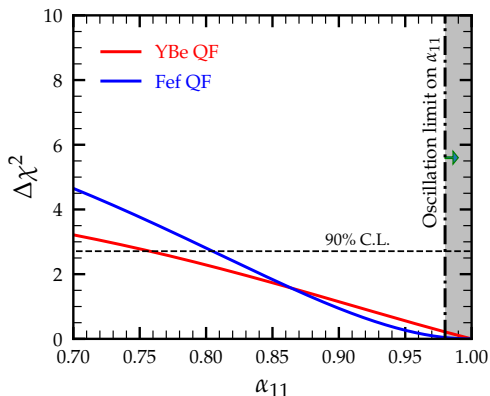
$$R_{\text{NU}} = \alpha_{11}^2 \left(\alpha_{11}^2 + |\alpha_{12}|^2 + |\alpha_{13}|^2 \right) R_{\text{SM}},$$

Violation of lepton unitarity



[Majumdar, Papoulias, Srivastava, Valle, PRD 106 (2022) 9, 093010]

NU parameter	Oscillations	YBe QF	Fef QF
α_{11}	> 0.98	> 0.758	> 0.805
$ \alpha_{12} $	$< 10^{-2}$	—	< 0.747
$ \alpha_{13} $	$< 4.2 \times 10^{-2}$	—	< 0.747



NSI: Phenomenology of NSIs are discussed with a model independent parametrization.

Wolfenstein, 1978

$$\mathcal{L}_{\text{eff}}^{\text{NSI}} = -2\sqrt{2} G_F \varepsilon_{\alpha\beta}^{qC} (\bar{\nu}_\alpha \gamma^\mu P_L \nu_\beta) (\bar{q} \gamma_\mu P_C q)$$

NGI: The conventional NSIs can be extended by incorporating all possible Lorentz-invariant interactions up to dimension 6 between neutrinos and other SM fermions—i.e., scalar, pseudoscalar, vector, axial vector, and tensor.

$$\mathcal{L}_{\text{eff}}^{\text{NGI}} = \frac{G_F}{\sqrt{2}} \sum_{X=S,P,V,A,T} [\bar{\nu} \Gamma^X \nu] [\bar{q} \Gamma_X (C_X^q + i\gamma_5 D_X^q) q] \quad \Gamma_X = \{\mathbb{I}, \gamma_5, \gamma_\mu, \gamma_\mu \gamma_5, \sigma_{\mu\nu}\}$$

The NGI cross section is parameterized by nuclear currents - **Scalar**, **Vector**, and **Tensor**. **Pseudoscalar** and **Axial vector** interactions are ignored as they are suppressed by nuclear spin, and also choose $D_X^q = 0$.

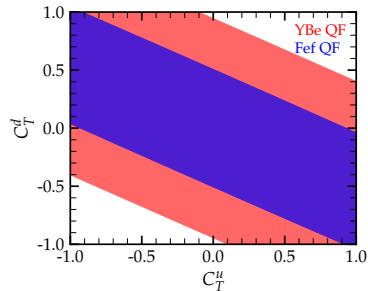
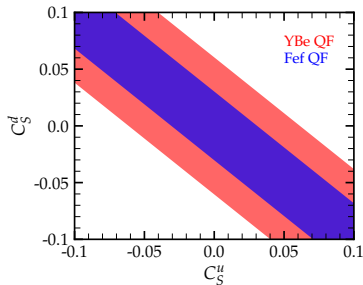
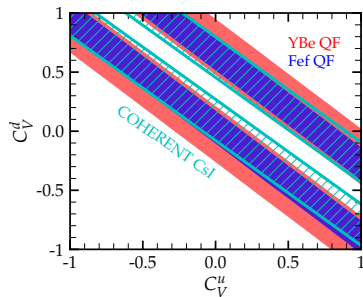
$$\left. \frac{d\sigma}{dE_{nr}} \right|_{\text{NGI}} = \frac{G_F^2 m_N}{\pi} \left\{ C_S^2 \frac{m_N E_{nr}}{8 E_\nu^2} + \left(\frac{C_V}{2} + Q_{\text{SM}} \right)^2 \left(1 - \frac{m_N E_{nr}}{2 E_\nu^2} - \frac{E_{nr}}{E_\nu} \right) + 2 C_T^2 \left(1 - \frac{m_N E_{nr}}{4 E_\nu^2} - \frac{E_{nr}}{E_\nu} \right) \pm \mathcal{R} \frac{E_{nr}}{E_\nu} \right\}$$

In this study we have explored the different scenarios:

- **The Single parameter case**, where only one nuclear current is present at a time.
- **The Two parameter case**, where two nuclear currents coexist and interact simultaneously.

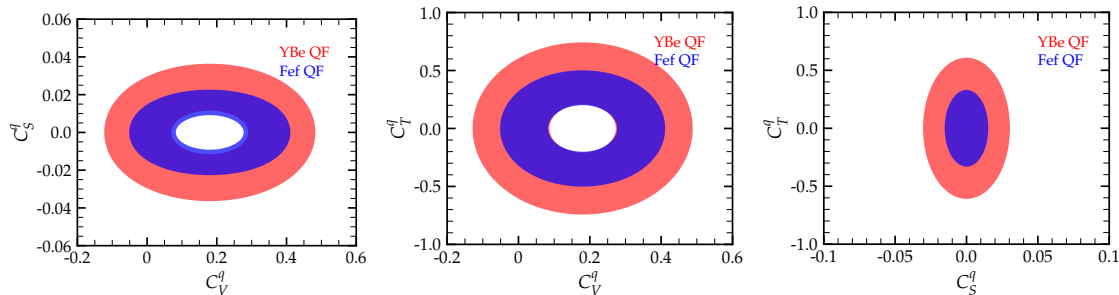
NSI and NGI

The Single parameter case:



[Majumdar, Papoulias, Srivastava, Valle, PRD 106 (2022) 9, 093010]

The Two parameter case:



[Majumdar, Papoulias, Srivastava, Valle, PRD 106 (2022) 9, 093010]

- Phenomenological analyses of the latest Dresden-II data have uncovered new insights into the Standard Model and beyond, placing complementary constraints on a wide range of parameters.
- Although our Dresden-II determination of the weak mixing angle in the low-energy regime is not as competitive as the existing one from the COHERENT data, the best-fit value is in better agreement with the theoretical prediction from RGE extrapolations. However, one should note that the best-fit value differs dramatically for the two QF models we have adopted.
- Current Dresden-II data do not have sufficient statistics to place a competitive constraint on unitarity violation parameters. However, short baseline reactor CE ν NS experiments may provide a promising unitarity violation probe in the long run.
- Dresden-II data place competitive constraints on NGI parameters with respect to COHERENT experiment.

Extras

The statistical analysis in our present work is based on the Gaussian χ^2 function:

$$\chi^2(\vec{S}, a, \beta) = \sum_{i=1}^{130} \left[\frac{(1+a)R_{\text{CE}\nu\text{NS}}^i(\vec{S}) + R_{\text{bkg}}^i(\beta) - R_{\text{exp}}^i}{\sigma_{\text{exp}}^i} \right]^2 + \left(\frac{a}{\sigma_a} \right)^2 + \left(\frac{\beta_{M/L_1} - 0.16}{\sigma_{\beta_{M/L_1}}} \right)^2$$

where $R_{\text{CE}\nu\text{NS}}^i$ stands for the theoretically estimated CE ν NS events in the i th bin, and \vec{S} denotes the set of new physics parameters, while R_{exp}^i and σ_{exp}^i are the experimental number of events and the corresponding uncertainty in the i th bin, all taken from data release. The neutrino flux normalization uncertainty is taken into consideration through the nuisance parameter a with $\sigma_a = 2\%$. The uncertainty of β_{M/L_1} is taken to be $\sigma_{\beta_{M/L_1}} = 0.03$, and the prior 0.16 is assigned. In what follows, for a given parameter of interest from the set \vec{S} , our analysis involves minimization of the χ^2 function over each component of β and a .

Details on Background fitting



Background Parameters (β)	Allowed range	YBe QF	Fef QF
N_{epith}	[0, 25]	14.082	13.779
A_{epith}	[0, 150]	66.505	62.947
τ_{epith} (keV)	[0, 2]	0.249	0.262
A_{L_1}	[70, 250]	84.577	84.63
E_{L_1} (keV)	[1.2, 1.4]	1.29228	1.29237
σ_{L_1} (keV)	[0.04, 0.1]	0.0694	0.06963
β_{M/L_1}	[0, 0.3]	0.17	0.158
Fitted events (SM + Background)		5080.29	5103.4
χ^2_{min}		105.95/d.o.f.	102.66/d.o.f.