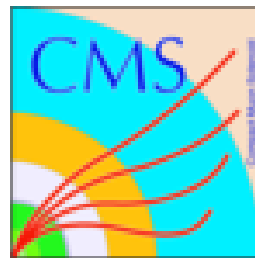


# Top and top-pair mass measurements at CMS



Roberto Chierici  
(CNRS/IPN Lyon)



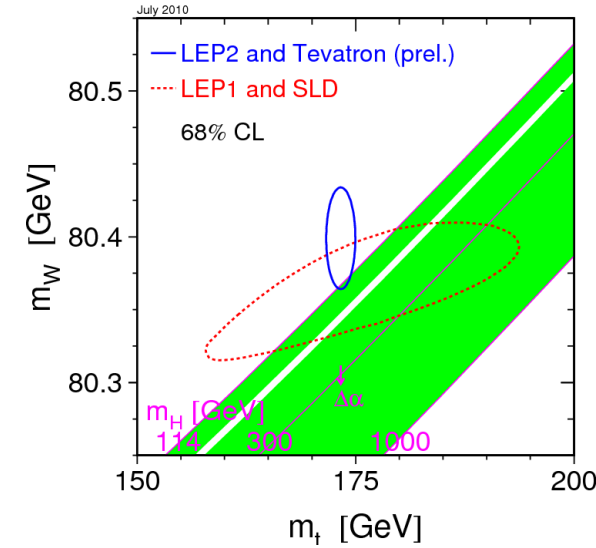
# Outline



- Introduction
- The top mass in the di-lepton channel (TOP-10-006)
  - Experimental challenges at the LHC
- The top-pair mass in the semi-leptonic channels
  - Standard reconstruction techniques (TOP-10-007)
  - Tools for boosted top reconstruction (JME-10-013)
- Outlook

- Top physics is one of the main pillars of the physics program at the LHC

- The top quark is intriguing
  - The heaviest fundamental particle known
  - The only quark not hadronizing
- The top mass is a fundamental parameter of the Standard Model (SM)
  - Whose precise knowledge allows to constrain the model itself and predict the Higgs boson mass (in the frame of the SM)

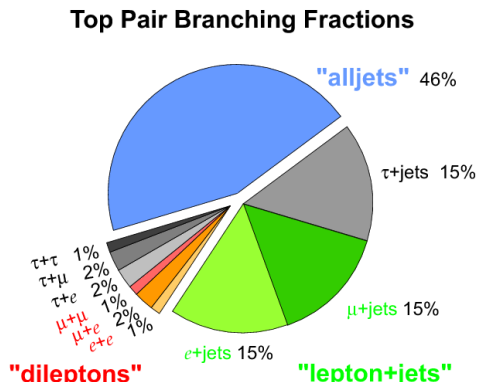


- The top quark represents a potential portal to physics beyond the SM

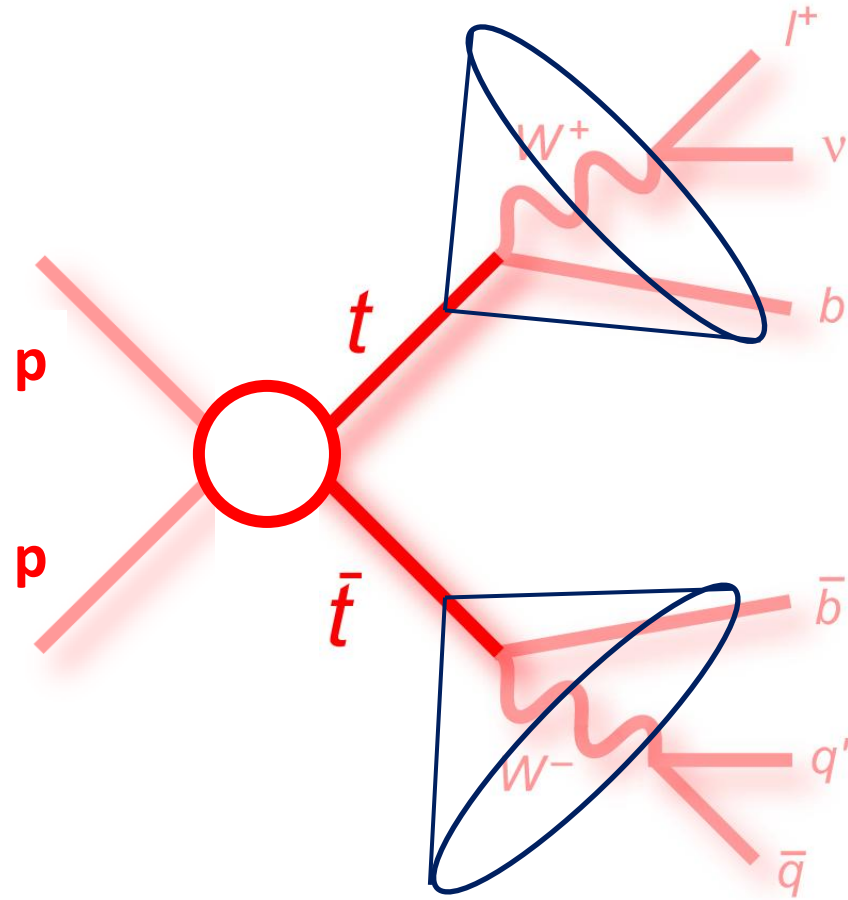
- “Strongly” coupled to the Higgs/EWSB sector
- Many models predict favorable couplings to the third family

- Top physics needs a full understanding of all detector components

- Muons, electrons, MET, jets
- The hadronic component of top-pair events is particularly crucial for the full event reconstruction
  - Jet energy scale and resolution
  - Jet pairing
  - Heavy flavour tagging
  - Jet substructure reconstruction



# The top mass



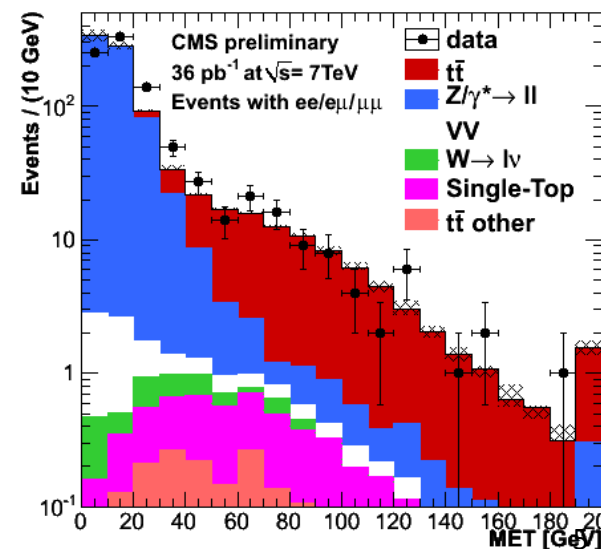
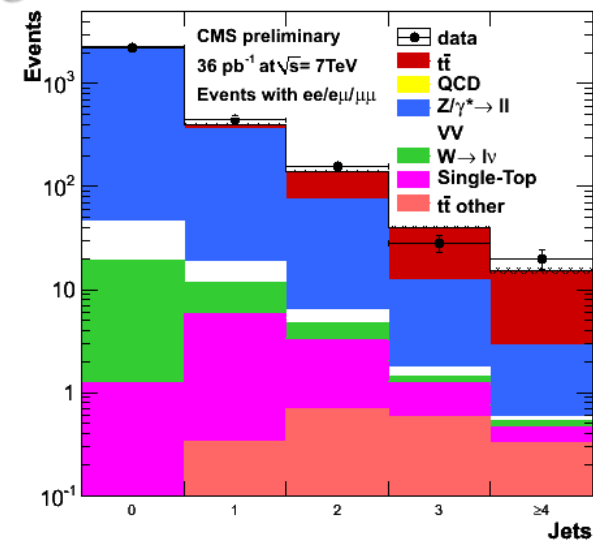


# Top mass: event selection

- CMS performed the first measurement of the top mass outside Tevatron
  - Di-lepton channel (low cross-section, but more background free)

- Event selection is straightforward

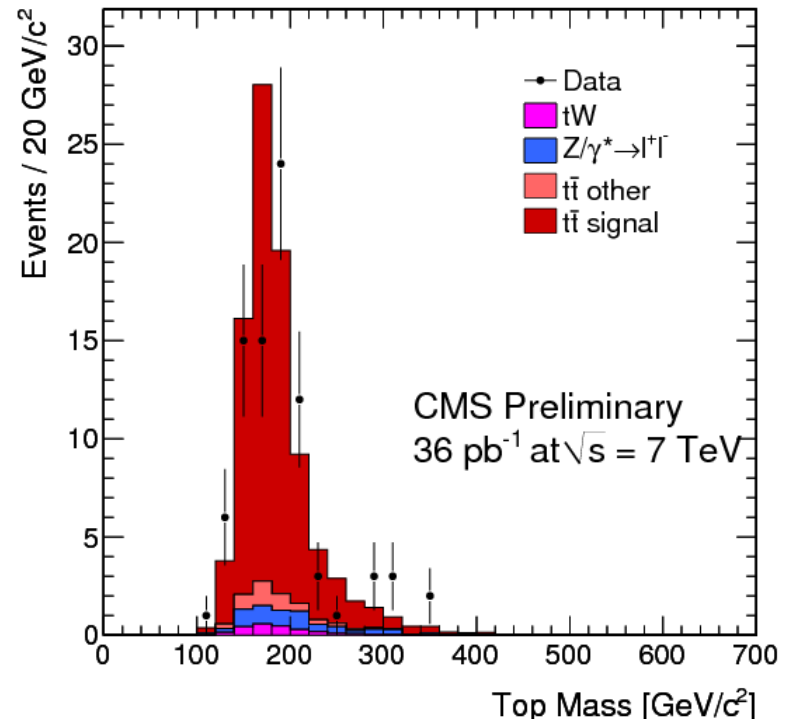
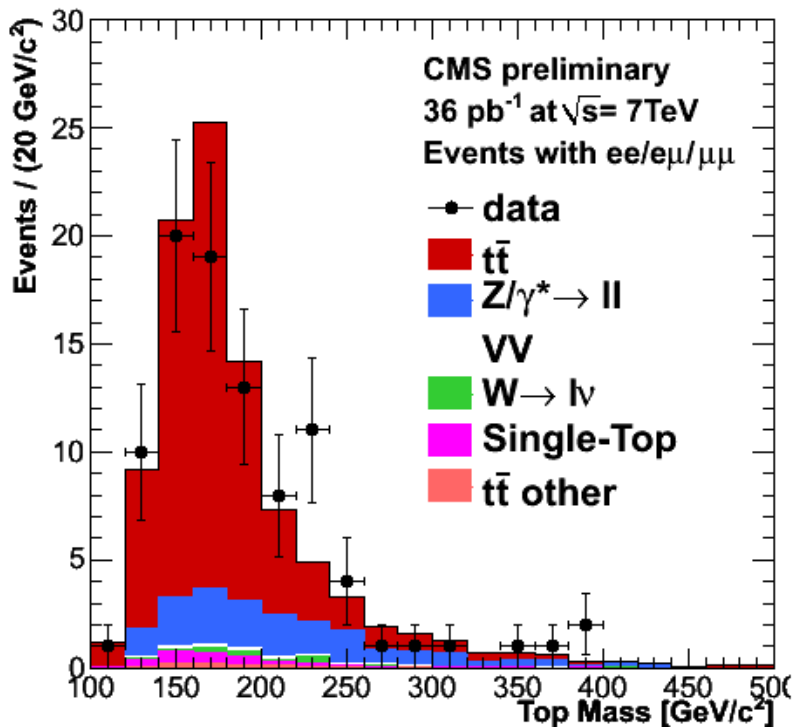
- 2 isolated, prompt, opposite charge leptons with  $p_T > 20 \text{ GeV}/c$  and  $|\eta| < 2.5$
- For same flavour leptons,  $|m(\ell\ell) - m_Z| < 15 \text{ GeV}/c^2$
- Two or more jets with  $p_T > 30 \text{ GeV}/c$  and  $|\eta| < 2.5$ 
  - b-tagging is not used for selection, but used for ranking the jets which enter the mass reconstruction
- $\cancel{E}_T > 30(20) \text{ GeV}$  for the  $ee/\mu\mu$  ( $e\mu$ ) channels



Selection cut	Data	Total expected	$t\bar{t}$ signal	Total background
pre-tagged sample				
$\geq 2$ isolated leptons	27257	$28934 \pm 49$	$158.8 \pm 0.9$	$28775 \pm 49$
opposite sign	26779	$28545 \pm 42$	$157.3 \pm 0.9$	$28388 \pm 42$
Z/quarkonia-veto	2878	$2873 \pm 27$	$139.3 \pm 0.8$	$2734 \pm 27$
$\geq 2$ jets	204	$193 \pm 2$	$103.1 \pm 0.7$	$90 \pm 2$
$\cancel{E}_T$	102	$108.5 \pm 0.9^{+3}_{-2}$	$92.1 \pm 0.7^{+2}_{-1}$	$16.3 \pm 0.7^{+1}_{-1}$

# Top mass: event reconstruction

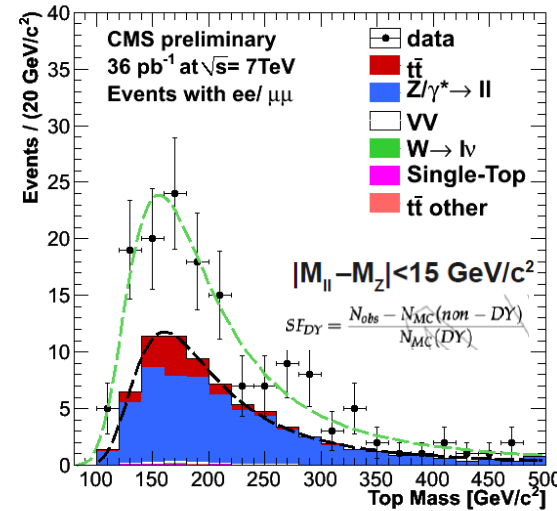
- Two partially independent methods solving the event equation
  - Impose equality of “top” masses and the W mass constraints
  - Do it for every lepton-jet combination in the event
    - Favour b-tagged jets
  - Iterate for several mass hypotheses, keep the highest weight solution



# Top mass: template fitting

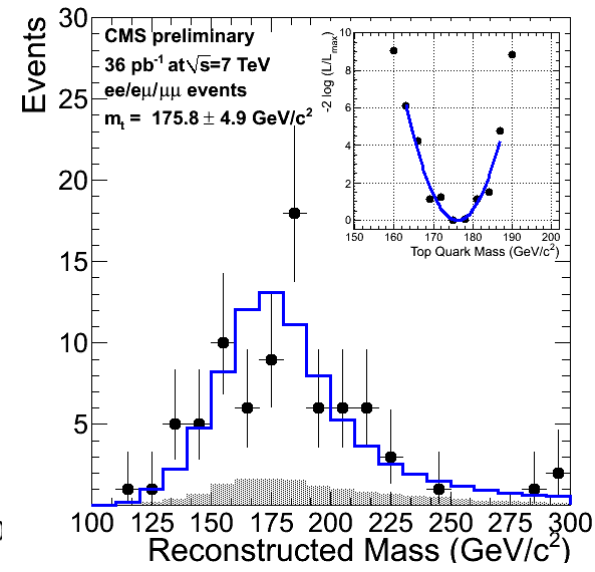
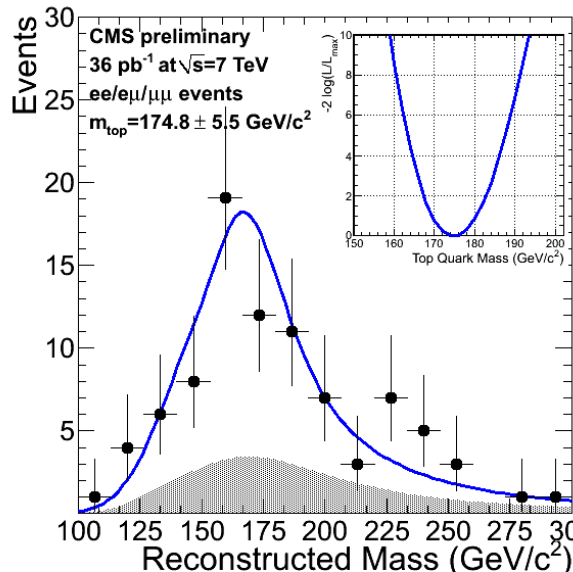
- Use template fitting to extract  $m_t$  from the mass distributions

- Signal is taken from MC predictions at different  $m_t$
- Background parametrized with MC and data
  - Single top,  $t\bar{t}$ ,  $W$ +jets, di-boson from MC
  - $Z$ +jets in di-leptons from data
    - Scale factor from mass distributions inside the Z peak



- Apply the likelihood fit to the data

- Combine 0, 1,  $\geq 2$  btag in the fit
- Methods crosschecked to be linear in  $m_t$  and with small bias (corrected for)
- The analyses provide compatible results

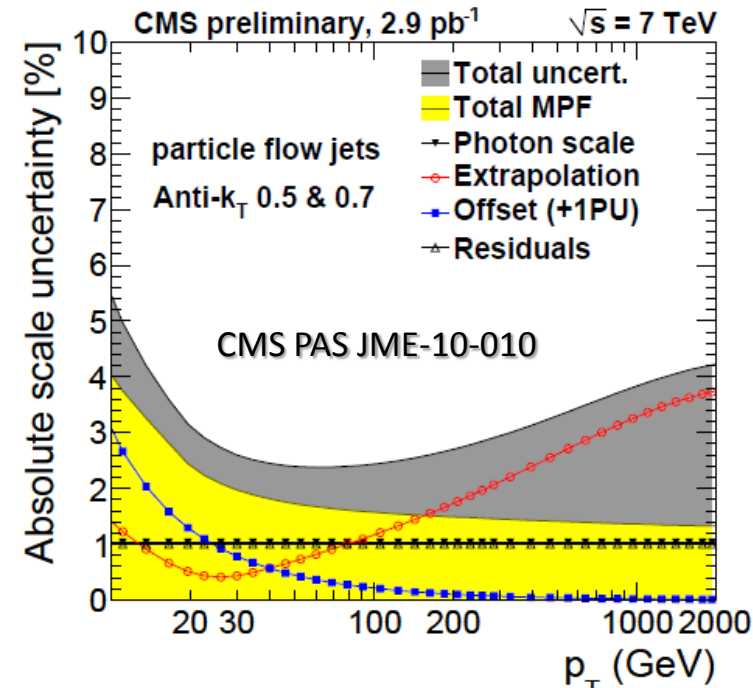


# Top mass: results



- JES is the most relevant systematic error
  - Flavour specific uncertainties accounted for
- MC modelling also accounted for
  - Radiation, PS-ME matching thresholds
  - Different generators, UE tunes, Pile-up

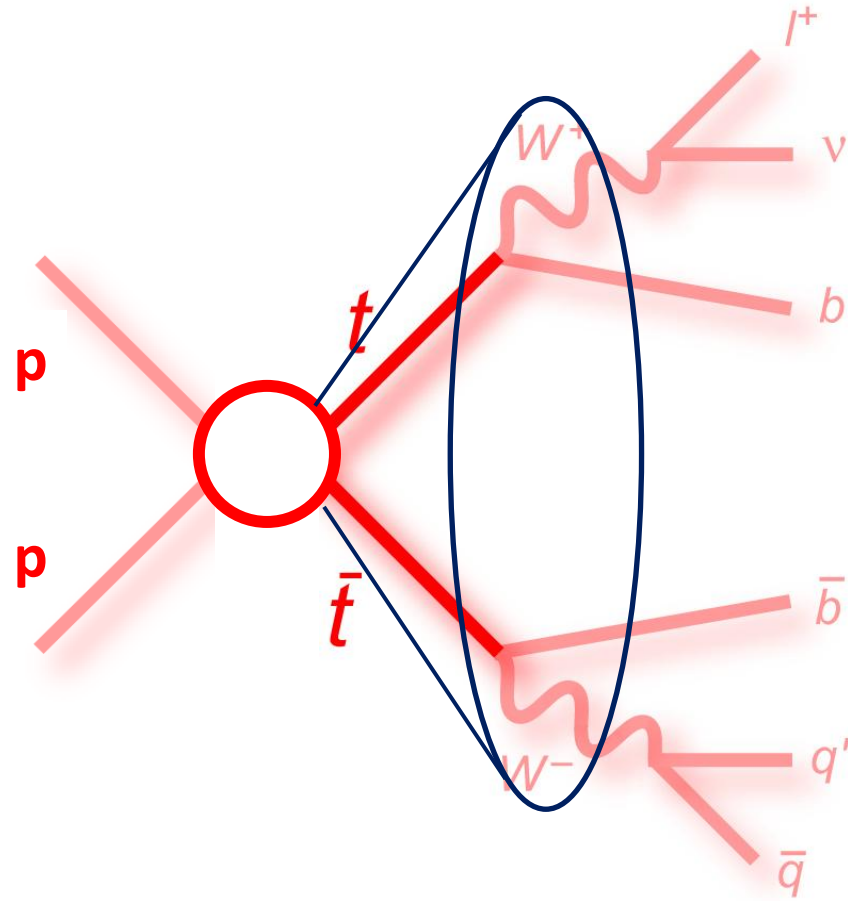
Source	KINb	AMWT
jet energy scale	+3.1/-3.7	3.0
<i>b</i> -jet energy scale	+2.2/-2.5	2.5
Underlying event	1.2	1.5
Pileup	0.9	1.1
Jet-parton matching	0.7	0.7
Factorization scale	0.7	0.6
Fit calibration	0.5	0.1
MC generator	0.9	0.2
Parton density functions	0.4	0.6
<i>b</i> -tagging	0.3	0.5



- Analyses are combined by using BLUE
  - Statistical correlation determined via pseudo experiments to be 0.57
  - Statistical and systematic errors already of the same size

Method	Measured $m_{top}$ (in $\text{GeV}/c^2$ )	Weight
AMWT	$175.8 \pm 4.9(stat) \pm 4.5(syst)$	0.65
KINb	$174.8 \pm 5.5(stat)_{-5.0}^{+4.5}(syst)$	0.35
combined	$175.5 \pm 4.6(stat) \pm 4.6(syst)$	$\chi^2/dof=0.040$ (p-value=0.84)

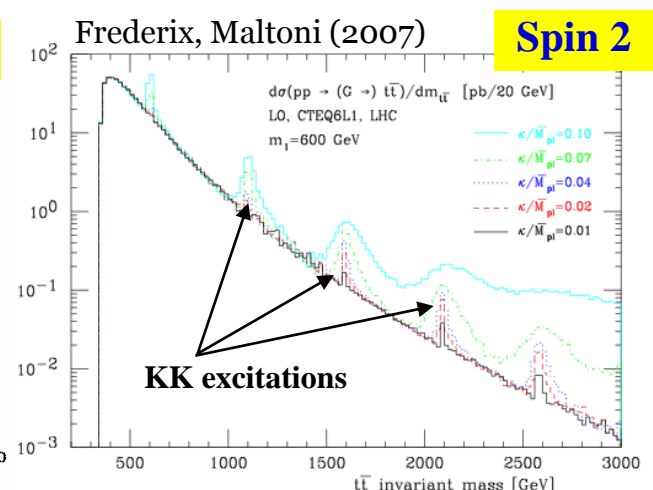
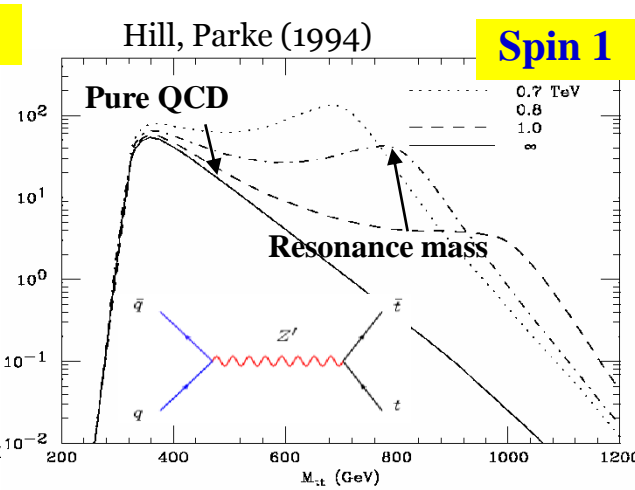
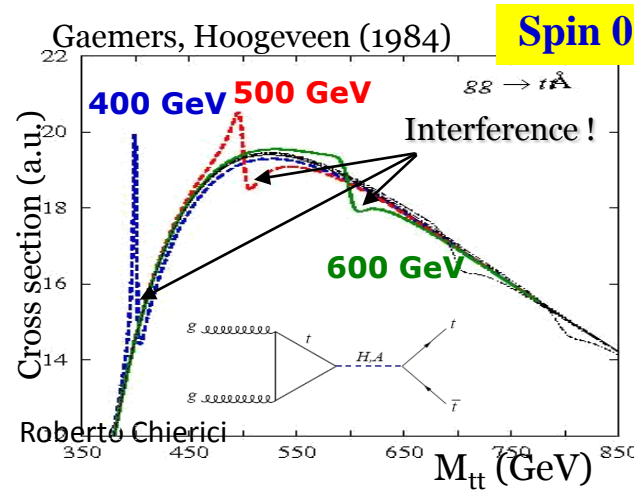
# The top-pair mass



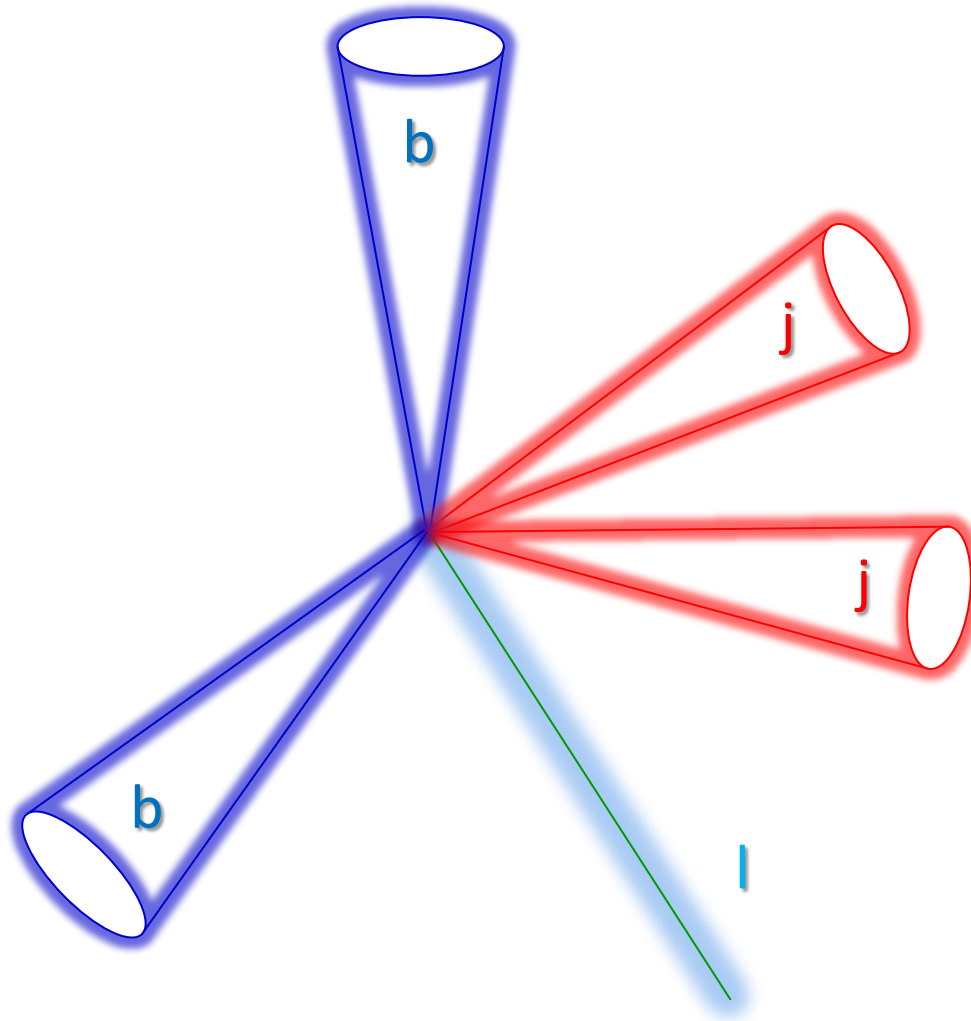


# Why is that interesting?

- Studying  $m(tt)$  is particularly important in many respects:
  - As a measure within the SM
    - top pair kinematics
    - indirect probe of the top mass
  - Undiscovered heavy s-channel resonances can decay to a pair of top quarks
    - MSSM Higgs (spin 0) (H/A, if  $m_H, m_A > 2m_t$ ,  $BR(H/A \rightarrow tt) \approx 1$  for  $\tan\beta \approx 1$ )
    - Technicolor, strong EW SB, Topcolor (spin 1)
    - KK excitations (spin 2)
  - Distortions in the top pair mass distributions are predicted by other models
    - Associated production of invisible scalars, SUSY, ...



# Standard reconstruction -moderate top boost-



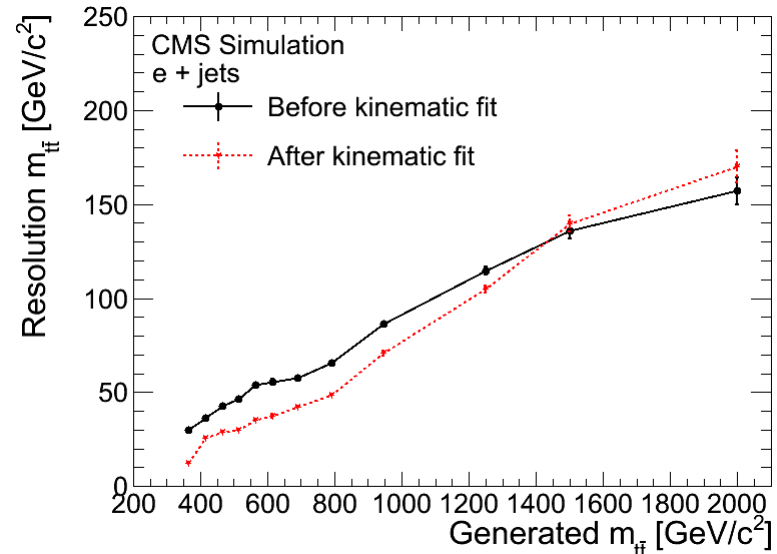
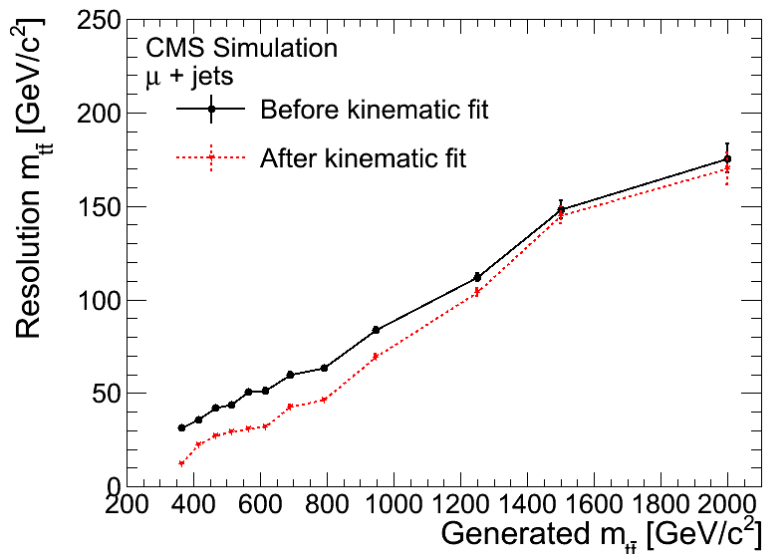
- Focus on semi-leptonic events with an electron or a muon
  - Single muon/electron trigger and good primary vertex
  - One isolated lepton in the acceptance with  $p_T > 20 \text{ GeV}/c$  (30 GeV/c for electrons), veto on a second isolated lepton
  - At least three (four) jets with  $p_T > 70/50/30(/30) \text{ GeV}/c$  and  $|\eta| < 2.4$
  - $\text{MET} > 20 \text{ GeV}$
- Yields in agreement with the expectations
  - Divided into jet+btag (SV) bin multiplicities
  - All then taken from MC, with exception for QCD, taken from data estimates

Yields	$t\bar{t}$	W/Z+LF	W/Z+HF	Single-top	QCD	Data	Sum BG
$\mu$ 3j1t	$96.9 \pm 0.6$	$7.9 \pm 0.2$	$28.6 \pm 1.1$	$11.6 \pm 0.1$	$8.2 \pm 8.2$	$142 \pm 11.9$	$153.2 \pm 8.3$
$\mu$ 4j0t	$40.4 \pm 0.5$	$62.8 \pm 2.2$	$25.0 \pm 1.0$	$2.5 \pm 0.1$	$4.5 \pm 4.5$	$107 \pm 10.3$	$135.1 \pm 5.1$
$\mu$ 4j1t	$84.8 \pm 0.6$	$3.8 \pm 0.1$	$12.5 \pm 0.7$	$4.2 \pm 0.1$	$5.1 \pm 5.1$	$112 \pm 10.6$	$110.5 \pm 5.2$
$\mu$ 4j2t	$51.6 \pm 0.4$	$0.1 \pm 0.0$	$2.4 \pm 0.2$	$2.0 \pm 0.0$	$1.0 \pm 1.0$	$58 \pm 7.6$	$57.1 \pm 1.1$
$e$ 3j1t	$80.3 \pm 0.6$	$5.4 \pm 0.1$	$22.8 \pm 1.0$	$8.5 \pm 0.1$	$9.4 \pm 9.4$	$114 \pm 10.7$	$126.4 \pm 9.5$
$e$ 4j0t	$31.8 \pm 0.4$	$47.0 \pm 1.9$	$19.1 \pm 0.9$	$1.9 \pm 0.0$	$10.8 \pm 10.8$	$106 \pm 10.3$	$110.4 \pm 11.0$
$e$ 4j1t	$66.7 \pm 0.5$	$2.8 \pm 0.1$	$9.0 \pm 0.6$	$3.2 \pm 0.1$	$3.0 \pm 3.0$	$80 \pm 8.9$	$84.7 \pm 3.1$
$e$ 4j2t	$40.9 \pm 0.4$	$0.1 \pm 0.0$	$2.1 \pm 0.2$	$1.5 \pm 0.0$	$0.1 \pm 0.1$	$50 \pm 7.1$	$44.6 \pm 0.5$



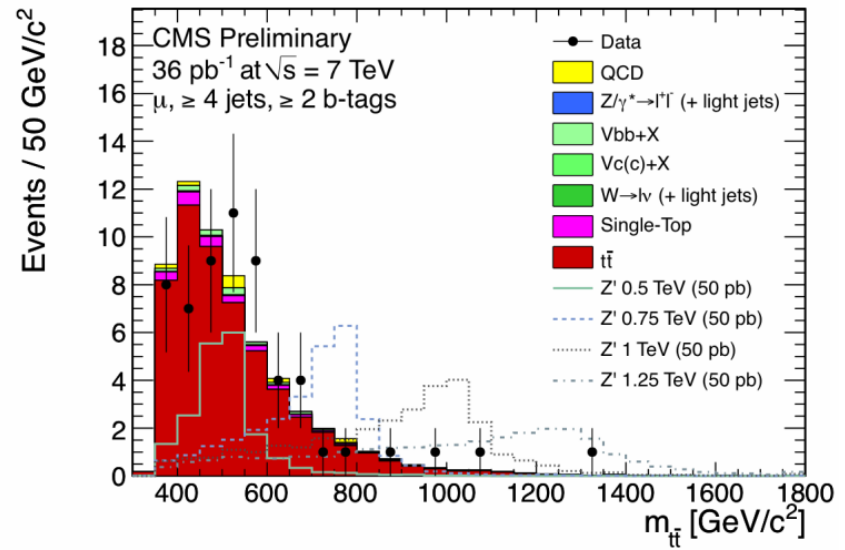
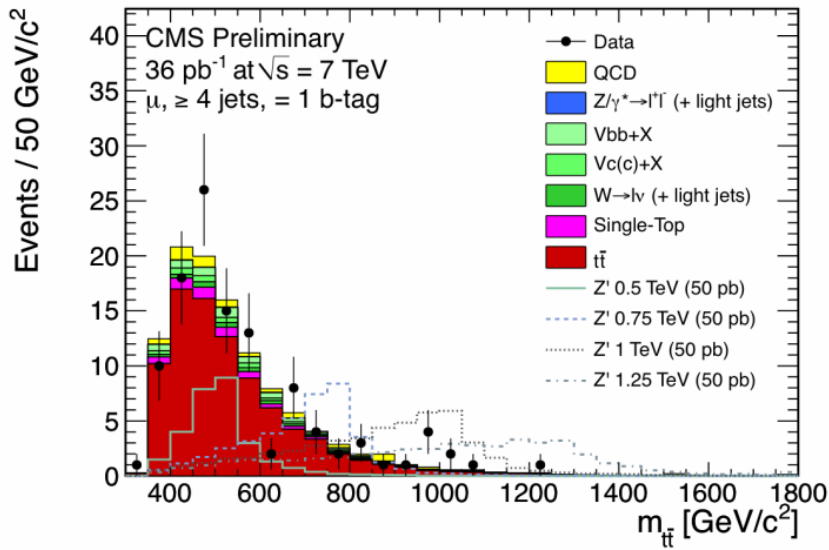
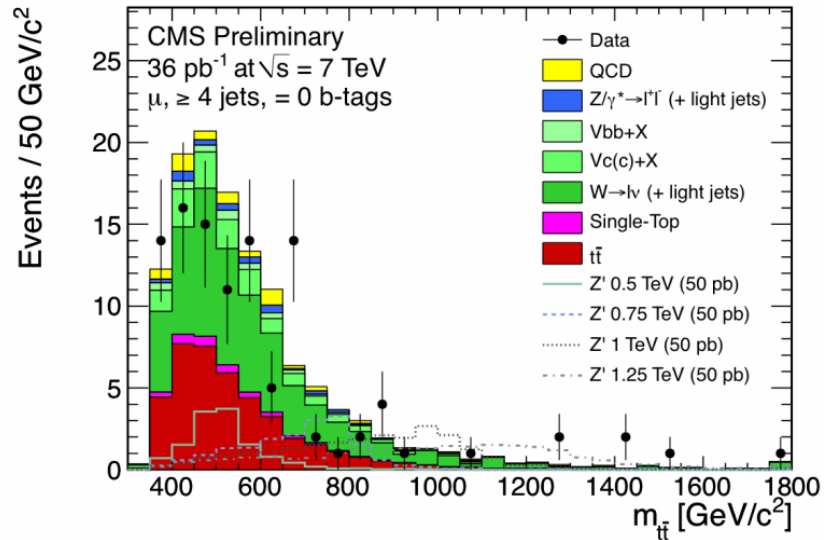
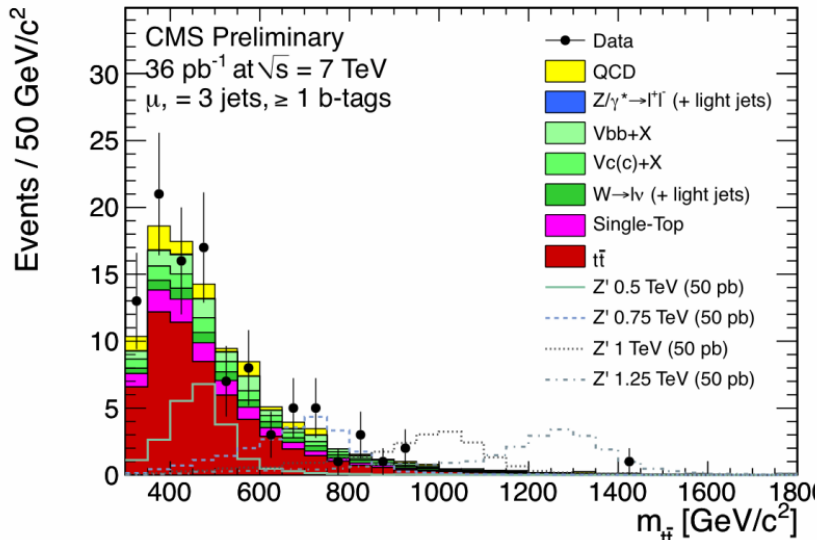
# Event reconstruction

- Reconstruct neutrino  $p_z$  component by using the  $W$  mass constraint
- Associate jets to form the two top systems
  - Use a  $\chi^2$  method with information from the hadronic and leptonic reconstructed masses, the  $p_T$  of the  $t\bar{t}$  system, the  $H_T$  of the event
- Four jet events: apply a full kinematic fit
  - Exploit known top and  $W$  masses
  - Use jet resolutions from simulation
- Improve the resolution and linearity on  $m(t\bar{t})$  in most of the interesting range



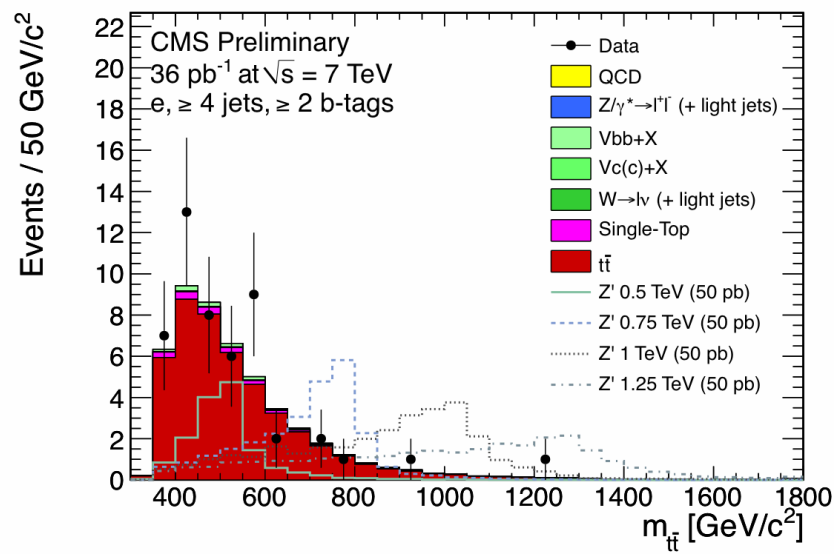
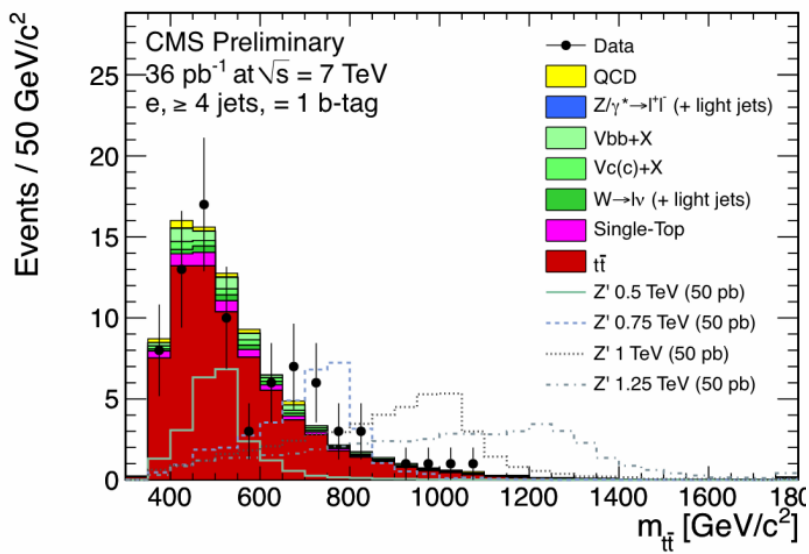
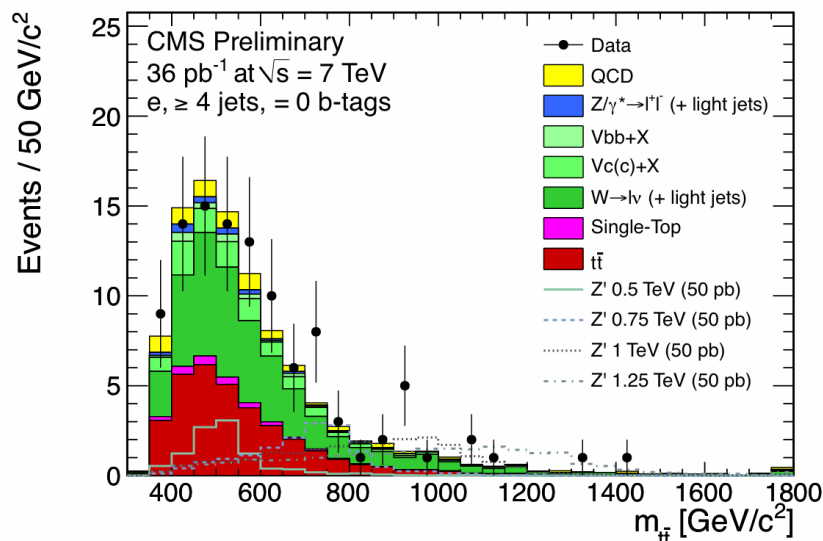
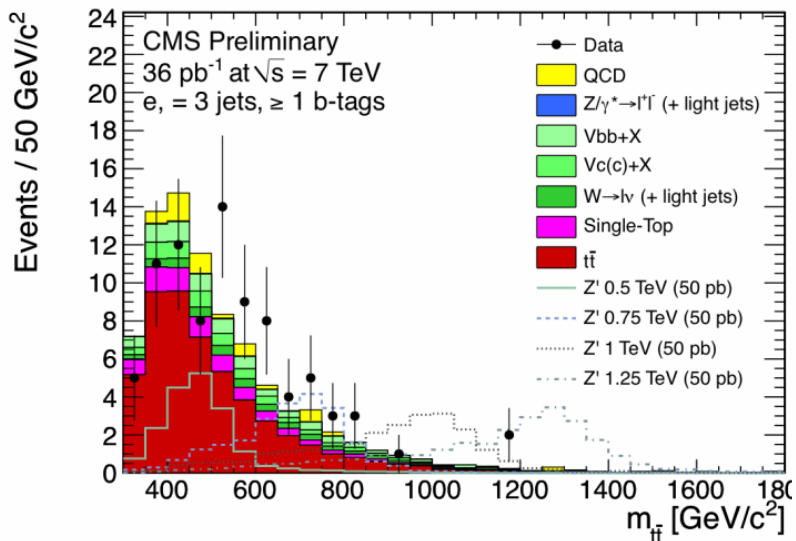
# Muon+jets $m(tt)$ distributions

- Data is superimposed to MC expectations and Z' signals in arbitrary normalization



# Electron+jets $m(tt)$ distributions

- Data is superimposed to MC expectations and Z' signals in arbitrary normalization



# Statistical treatment

- Mass distributions modeled by templates for signal and background

$$n_k(m_{\bar{t}t}, \vec{\theta}^r, \vec{\theta}^s) = N_k^{signal}(\vec{\theta}^r, \vec{\theta}^s) \cdot \text{pdf}^{signal}(m_{\bar{t}t}, \vec{\theta}^s) + \sum_i N_{ki}^{background}(\vec{\theta}^r, \vec{\theta}^s) \cdot \text{pdf}^{background}(m_{\bar{t}t}, \vec{\theta}^s)$$

→ shape-changing nuisances  
→ rate-changing nuisances

- Fully bayesian approach, all uncertainties are included as nuisance parameters modifying the templates in rates and shapes

- Gaussian or log-normal priors
- Shape changing nuisances extrapolated bin-by-bin by fitting the variation as a function of the systematic source with cubic functions
- Full marginalization over nuisances is granted via a numerical integration using Markov chains MC
- Background rates and shapes taken from both MC and data
  - All reference rates and shapes, except for QCD, taken from MC
  - QCD constrained with data

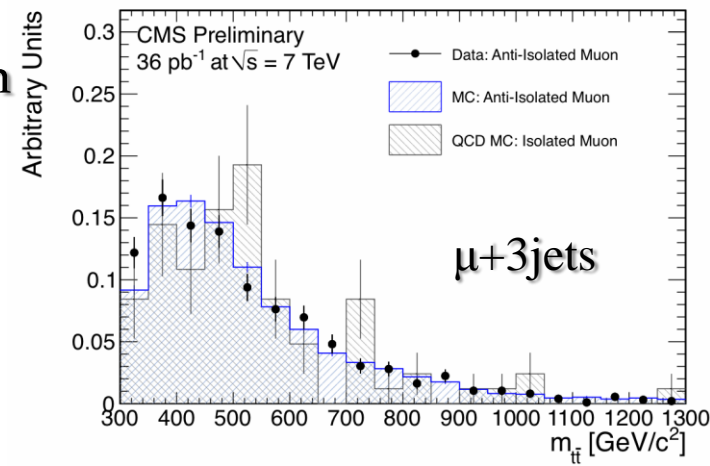
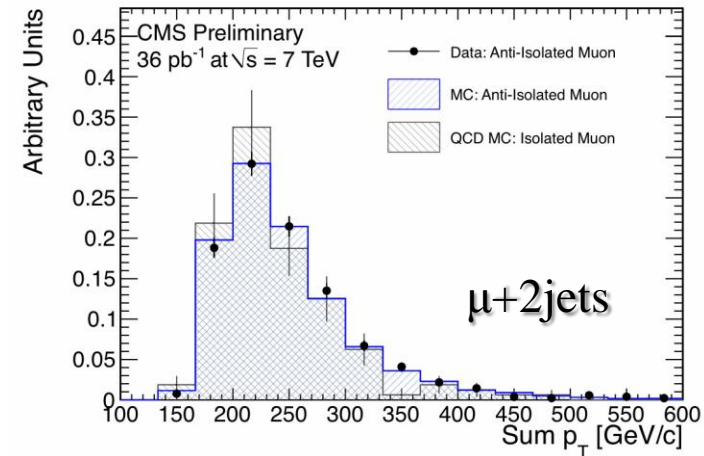
Uncertainty	Variation	Type
Luminosity	4%	rate
Electron efficiency (trigger + ID + isolation)	5%	rate
Muon efficiency (trigger + ID + isolation)	5%	rate
$\bar{t}t$ cross section	20%	rate
Single top cross section	30%	rate
W+jets cross section	50%	rate
Ratio Drell-Yan to W cross section	30%	rate
Ratio W/Z+HF to $\sigma(W)$	100%	rate
Muon QCD yield	100%	rate
Electron QCD yield	100%	rate
Jet energy scale	$p_T, \eta$ dependent	shape
Jet energy resolution	10%	shape
Unclustered energy	10%	shape
b tagging efficiency (b jets)	15%	shape
b tagging efficiency (c jets)	30%	shape
$Q^2$ scale for W and Drell-Yan events		shape
$\bar{t}t$ modelling		shape
$Q^2$ scale for $\bar{t}t$ events		shape
Amount of ISR/FSR for $\bar{t}t$ events		shape
Matching scale for $\bar{t}t$ events		shape



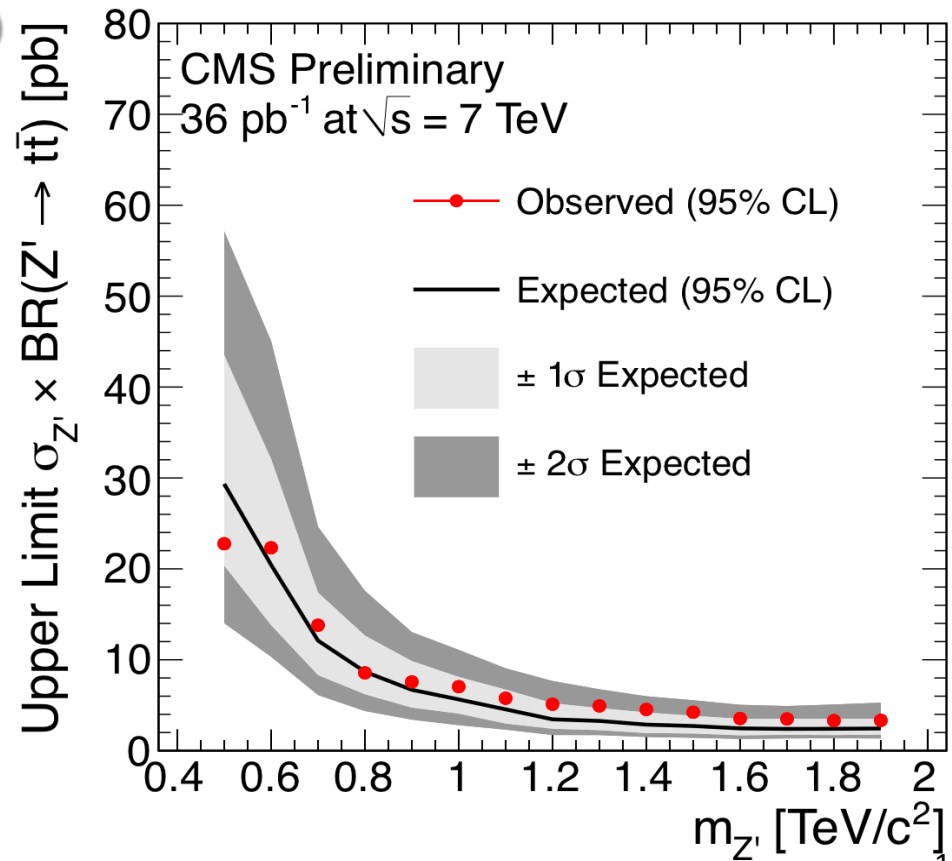
# Determining the QCD component



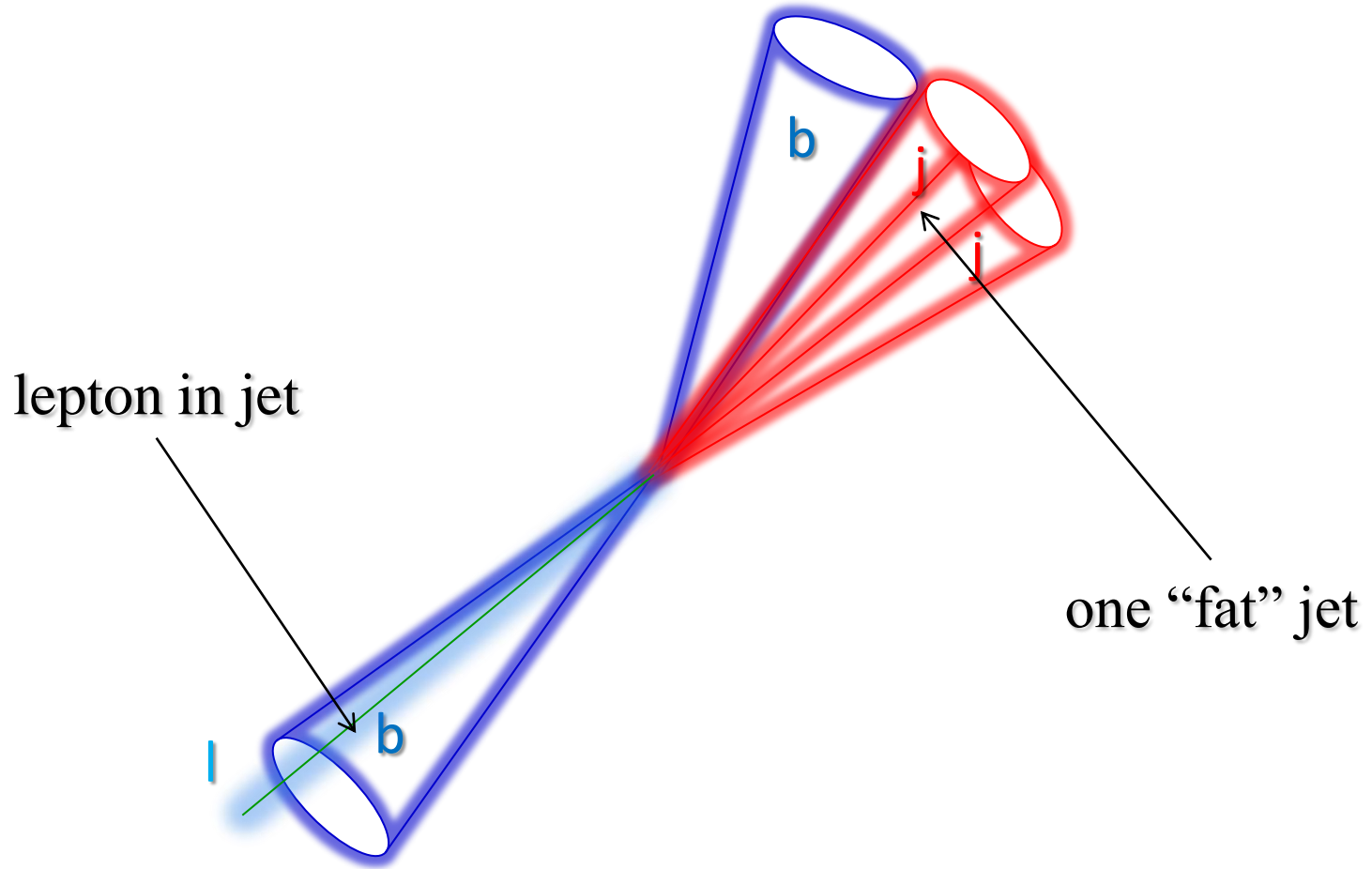
- Use control regions enriched in QCD to determine shape and difference in rate with respect to the MC predictions
  - Electron: fit to the relative isolation of the lepton extrapolated to signal region
  - Muon: matrix method using the lepton relative isolation and the (x,y) distance to the primary vertex
- Factor ~two underestimation of the QCD component by the MC
- Shapes are studied in the control regions
  - Verify data and MC shape agree in the control regions (dominated by QCD)
  - Verify  $m(tt)$  is not correlated with the definition of the control region
  - Use the shape of data in the control region to describe QCD in the signal region



- No observed excess of events in the mass range in reach
- Bayesian integration over nuisances to derive 95% upper limits
  - Use all data collected in 2010, corresponding to 36/pb
- Limits presented in terms of the production cross-section x BR of a Z'
  - Narrow width hypothesis ( $\Gamma/m < 10\%$ )
  - Expected and observed limits are in good agreement
  - No observed significant discrepancy with respect to the SM expectations
  - Exclusion possible for models predicting cross sections of about 10 pb for masses about 1 TeV

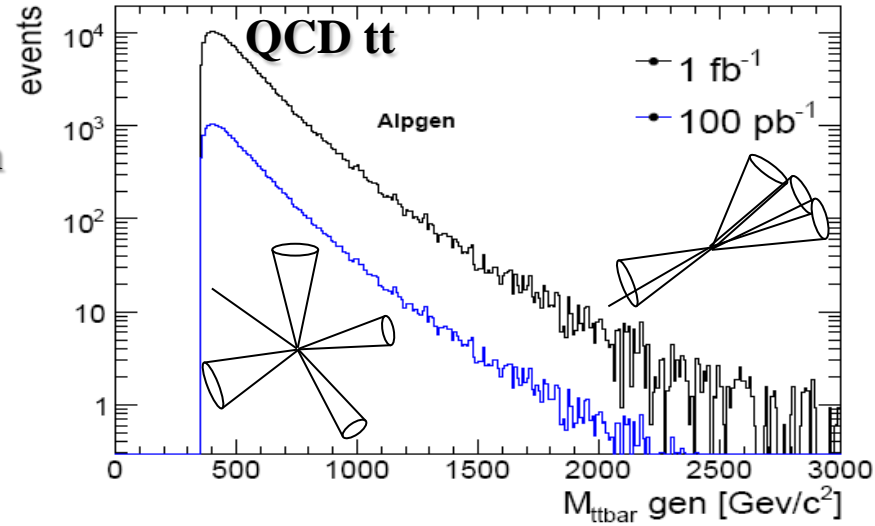


# Boosted tops !



- CMS prepares to cover all portions of the phase space for top-pair production
  - adapt to final state configuration that are very different from threshold top-pair production

- The event kinematics drastically change as a function of  $m(tt)$ 
  - Leptons progressively lose their isolation
  - Individual jet reconstruction becomes an issue because of (partial) jet merging

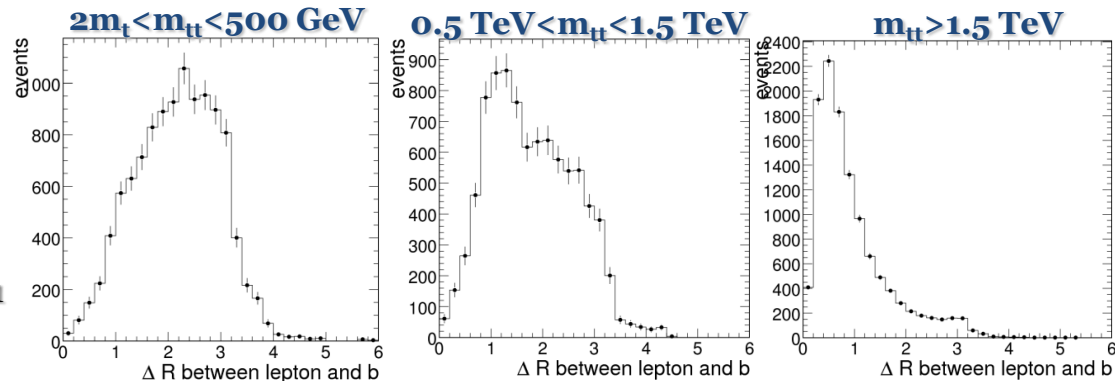


- This imposes stringent requests to:
  - Event triggering
  - Event reconstruction

- Study a top-tagging algorithm

- Identify jet substructures
- Based on:

Kaplan et al: Phys. Rev. Lett. 101, 142001  
 Ellis et al: Phys Rev. n D80 (2009)





# Top tagging in a nutshell



- Cambridge-Aachen (C-A) is a  $\kappa_T$  like algorithm:

- Finds the min  $d_{\min}$  of  $\{d_{ij}, d_{iB}\}$  for all pairs. If  $d_{\min}$  is a  $d_{ij}$  merge the pair, if it is a  $d_{iB}$  then final jet

- $\kappa_T$  algo:  $n=2$ . Anti- $\kappa_T$ :  $n=-2$ . C-A:  $n=0$  (no  $\kappa_T$  weighing)

$\kappa_T$  of particle i  
w.r.t. beam axis

$\kappa_T$  of particle i  
w.r.t. particle j

$$d_{ij} = \min(k_{T,i}^n, k_{T,j}^n) \frac{\Delta R_{ij}^2}{R^2}$$

$$d_{iB} = k_{T,i}^n$$

- The top tagging C-A (modified) algorithm (for boosted tops):

- 1. Cluster all with  $R=0.8$ , consider only hard jets with  $p_T > 250$  GeV,  $|y| < 2.5$

- 2. Decomposition of the jets into pieces:

- find iteratively 2 “parent jets” with more than 5% the energy of the jet

- if only 2 jets are found in a), find 2 “grandparents” with the same procedure.

Decomposition successful if at least one of the parent has two subjets.

- 3. Kinematic standard conditions for the decomposed jets

- Mass  $m_{\text{jet}}$  of the 4vector sum of the towers of the initial jet between 100 and 250 GeV.

- The min invariant mass  $m_{\min}$  of all the subjet pairs is required to be larger than 50 GeV.

- The jet pruning algorithm

- At each step of the C-A clustering sequence cuts are imposed to avoid too soft and too large-angle pairings

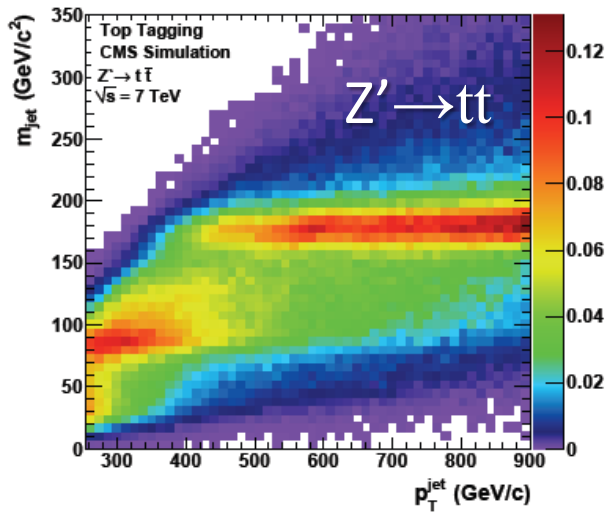
- Reject soft radiation at large angle

$$z_{ij} \equiv \min(p_{T,i}, p_{T,j}) / p_{T,p} < z_{\text{cut}}$$

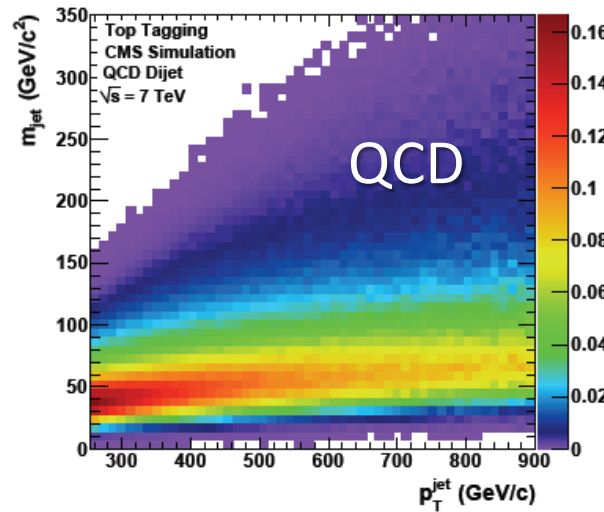
$$\Delta R_{ij} > D_{\text{cut}}$$

# $m_{\text{jet}}$ and $m_{\text{min}}$

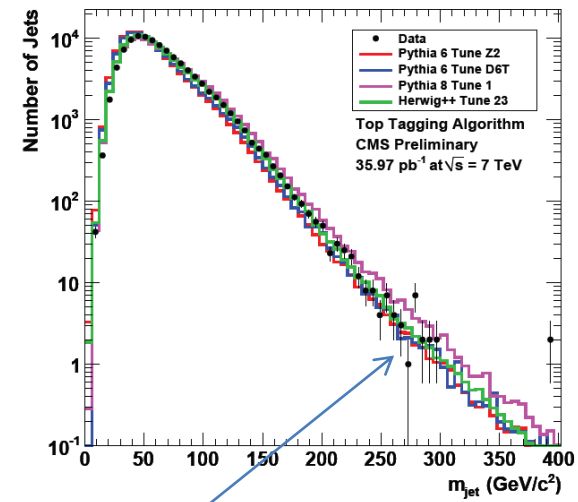
- Main variables for the top tagging already well understood in QCD data



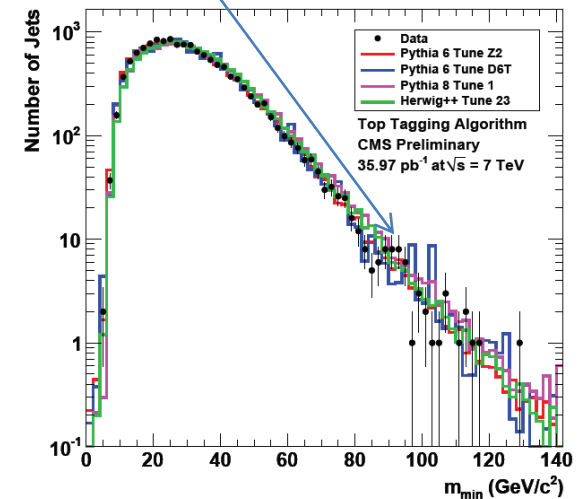
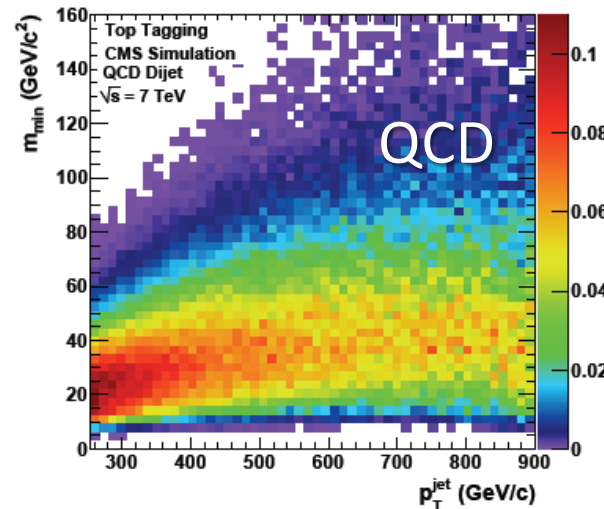
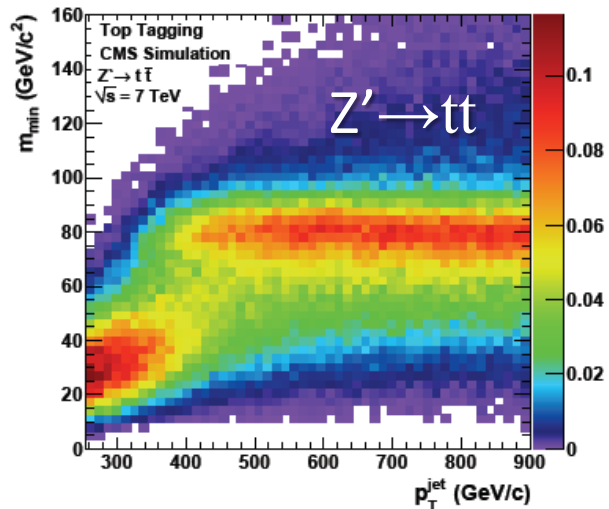
(a)



(b)



Sensitivity to tunes !

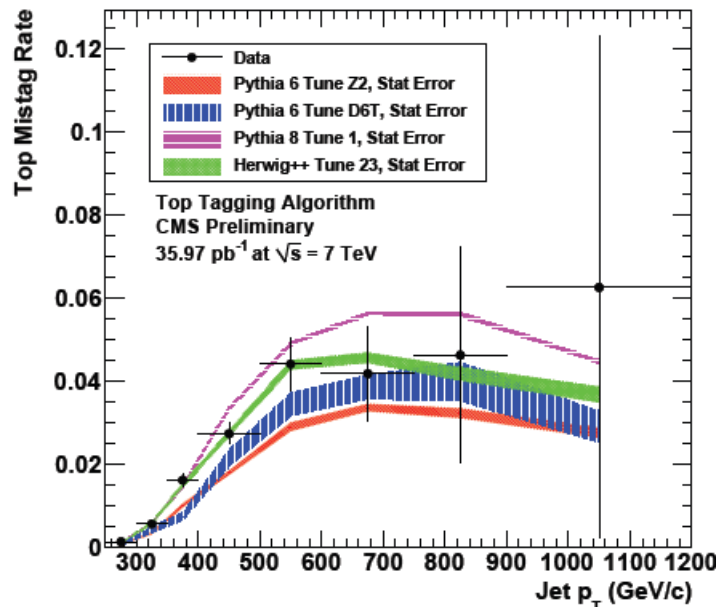
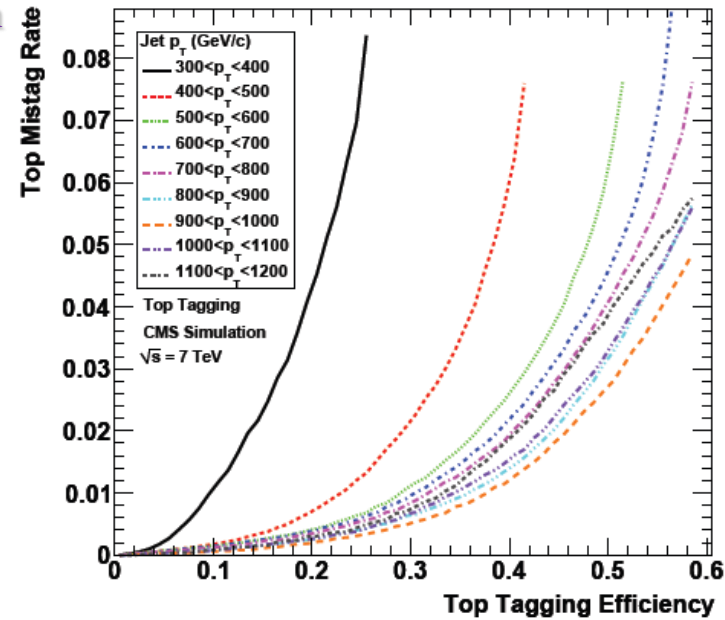


# Mistag rate from data



- The algorithm's parameters can be varied to optimize its performance
  - Plot results in a 2D way showing top efficiency versus fake rate
    - allow a better and more direct comparison between different algorithm
    - allow a choice of a working point of the algorithm
  - Top efficiency defined w.r.t. the jets matching a top jet decaying hadronically
  - Mistag rate defined w.r.t. QCD jets
  - Optimization done by minimizing the mistag rate at a certain efficiency by changing the cuts

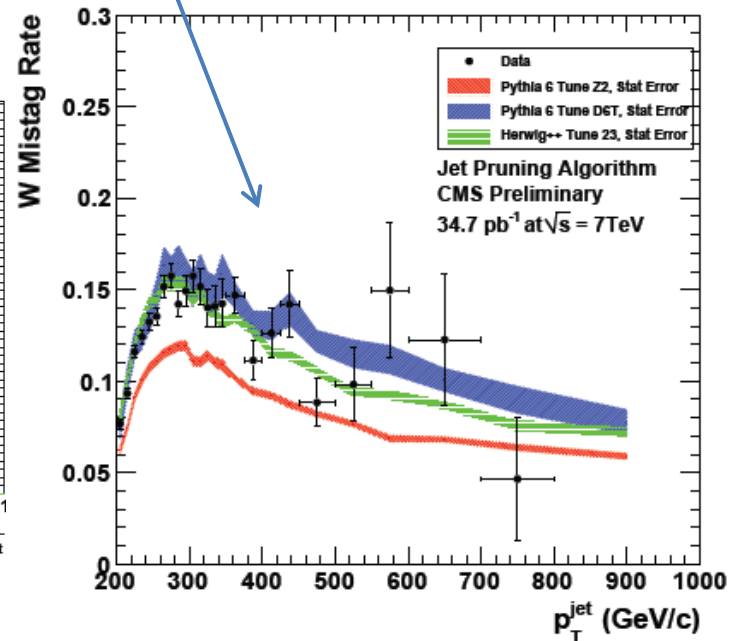
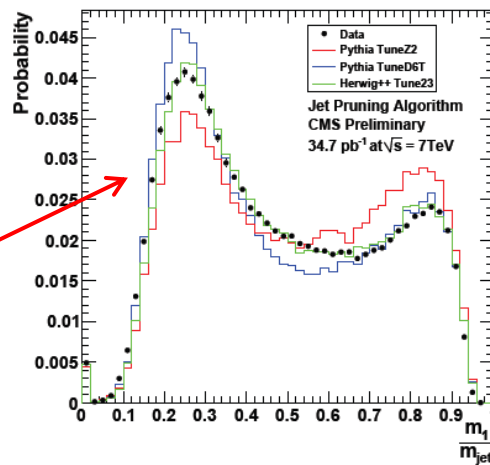
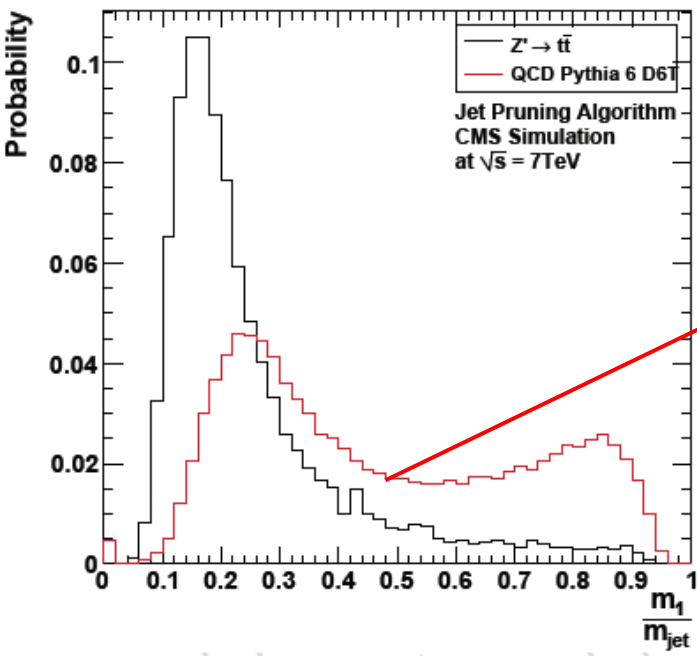
on  $m_{\text{jet}}$  and  $m_{\text{min}}$



Mistag rate can be directly determined from data by selecting anti-tag and probe in QCD events

- Use di-jet topologies
- Good agreement with predictions from simulation

- A jet pruning algorithm with the requirement of a two-jet substructure
  - With  $60 \text{ GeV}/c^2 < m_{\text{jet}} < 100 \text{ GeV}/c^2$
- Extra conditions applied to the “mass drop” and the “ $p_T$  asymmetry”
  - Mass drop:  $m_{\text{highest } p_T} / m_{\text{jet}}$  (typically required to be  $< 0.4$ )
  - $p_T$  asymmetry:  $\min(p_{T_1}^2, p_{T_2}^2) \Delta R_{12}^2 / m_{\text{jet}}^2$  ensures a minimum energy to the less energetic subset
- Mistag rate can already be measured with QCD data (tag and probe in di-jet)
  - Extremely good accord between data and MC expectations



# Summary and outlook



- The CMS program for exploiting top events for precision physics or for beyond the Standard Model searches is well under way
- Jet reconstruction, tagging, pairing, substructures are key aspects for a complete analysis of top-pair production at the LHC
  - Top physics at CMS addresses all of them in the top mass and top-pair mass analyses
- Analyses with these reconstruction techniques are applied to 2010 data
  - Top mass determined in the leptonic channel
    - Semileptonic channels under way
  - Top-pair mass distribution in the semi-leptonic channels
    - Analysis with standard reconstruction shows no presence of new physics so far
    - Boosted top (and W) tagging techniques are validated with QCD data and ready to be exploited
- Excellent performance of detector and simulation so far
  - CMS is ready for the increase in statistics in 2011



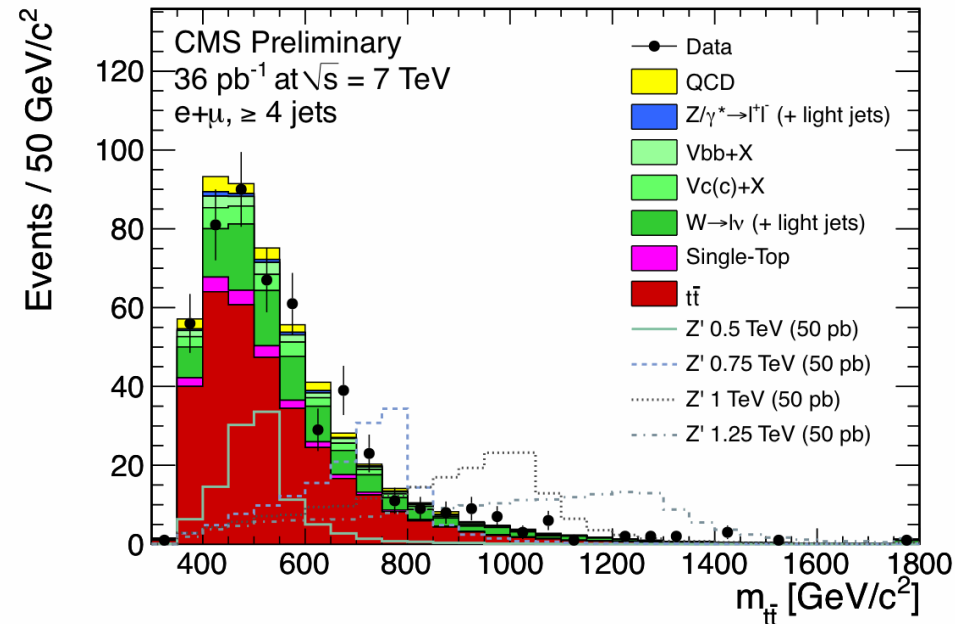
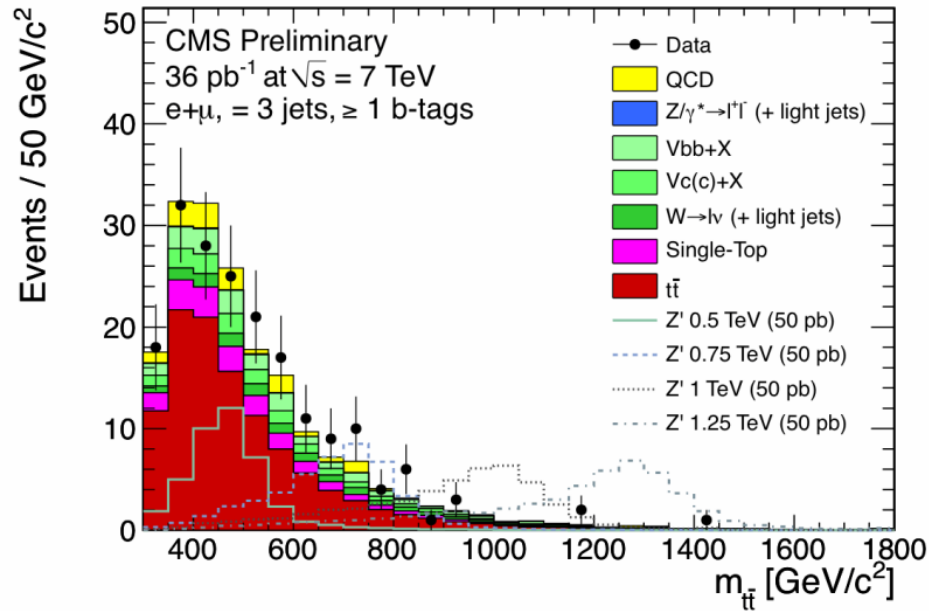
# Backup





# M(tt) distributions

- Electron and muon channels added up together
  - Distributions to be taken with grain of salt: limits are not derivable from these



# Crosscheck analysis for $m(tt)$



- A simpler analysis is used for crosschecking the  $m(tt)$  result
  - Different (looser) lepton isolation to grant high efficiency in moderately boosted top configurations
  - Jet b-tagging is used as a selection criteria (no optimal use of all information)
  - Background directly derived from data by definition of “side-bands” regions obtained by inverting the b-tagging condition
- Limits in accord with the reference analysis. Minor expected sensitivity

