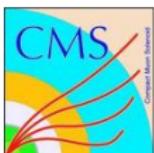


Jet Reconstruction and Measurements of Jet Performance at CMS

Hartmut Stadie
Universität Hamburg

Workshop on "Jet Reconstruction and Spectroscopy at Hadron Colliders"
Pisa, April 18th 2011

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and Research

- Introduction

- Jet Reconstruction
- Jet Energy Corrections



Run : 138919
Event : 32253996
Dijet Mass : 2.130 TeV

- Measurements using Dijet Events

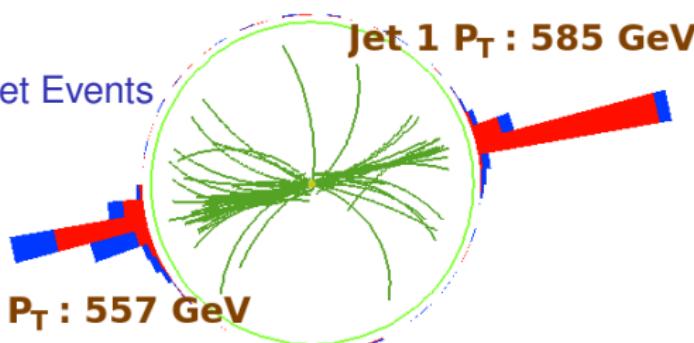
- Dijet Asymmetry Method
- Residual Correction
- Jet Resolution
- Jet Resolution Tails

- Measurements using Photon-Jet Events

- Methods
- Jet Resolution
- Absolute Jet Energy Scale

- Summary

- Jet Energy Scale
- Jet Resolution
- Conclusion



Jets at CMS

Jet algorithms using FastJet 2.4.x:

- anti- k_T $R = 0.5, R = 0.7$
- k_T $D = 0.4, D = 0.6$
- (Iterative Cone $R = 0.5$)

Recombination scheme

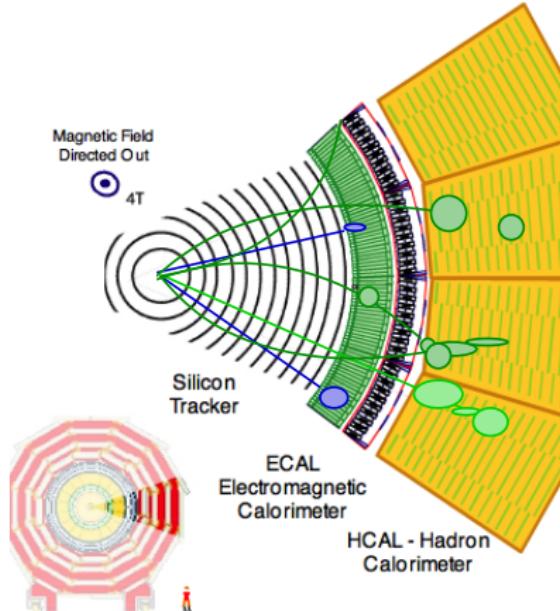
E-scheme (sum of momentum Lorentz vectors)

Jets at CMS

Jet types:

- Generator jets

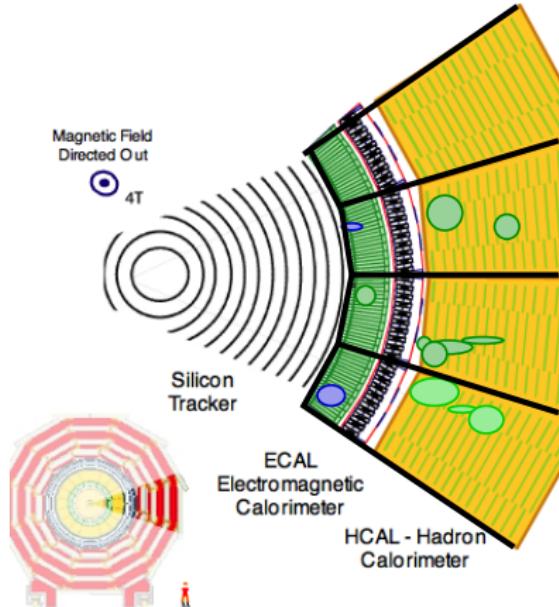
input: stable generated particles



Jets at CMS

Jet types:

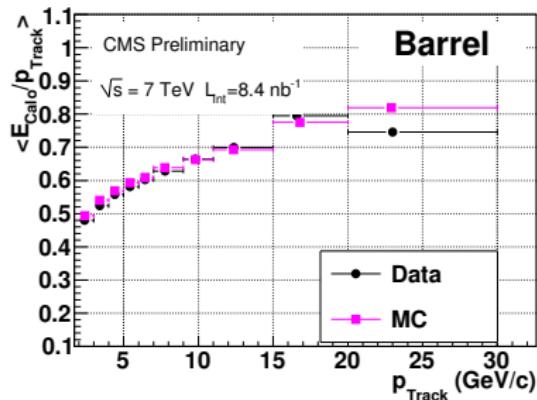
- Generator jets
input: stable generated particles
- Calorimeter jets
input: calorimeter towers (HCAL cells + ECAL crystals) after threshold cuts against noise



Jets at CMS

Jet types:

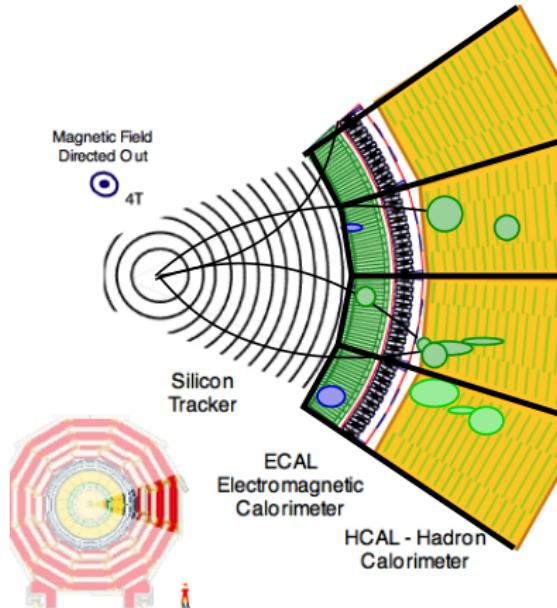
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Jets at CMS

Jet types:

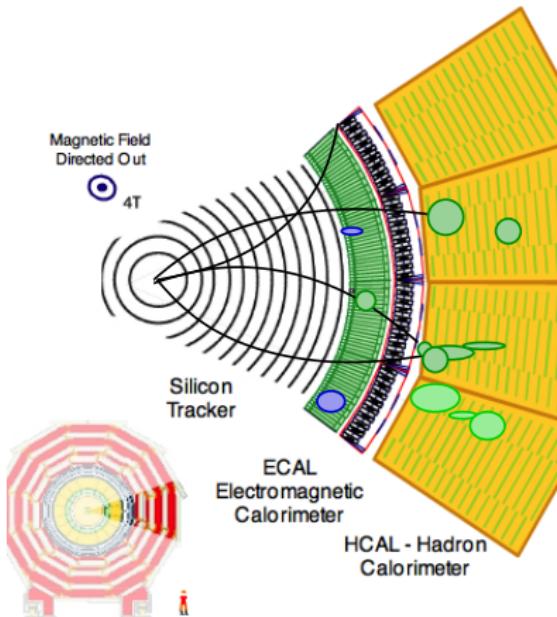
- Generator jets
input: stable generated particles
- Calorimeter jets
input: calorimeter towers (HCAL cells + ECAL crystals) after threshold cuts against noise
- Jet-Plus-Track jets
correct reconstructed calorimeter jets with tracks



Jets at CMS

Jet types:

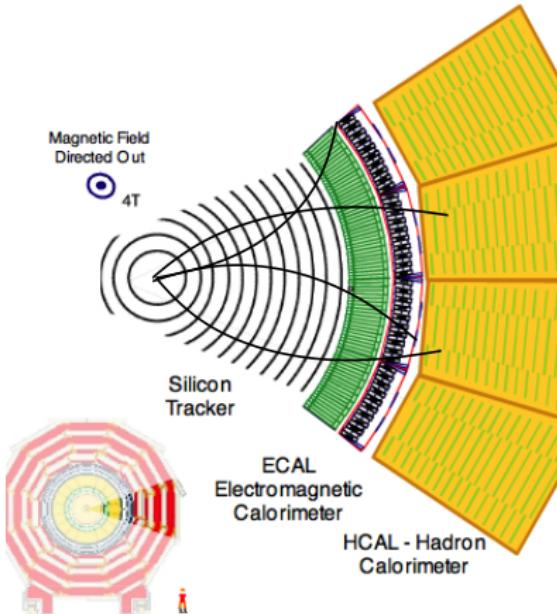
- Generator jets
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correct reconstructed calorimeter jets with tracks
- Particle Flow
combines information from **all CMS sub-detectors**
and reconstructs muons, electrons, photons,
charged hadrons and neutral hadrons



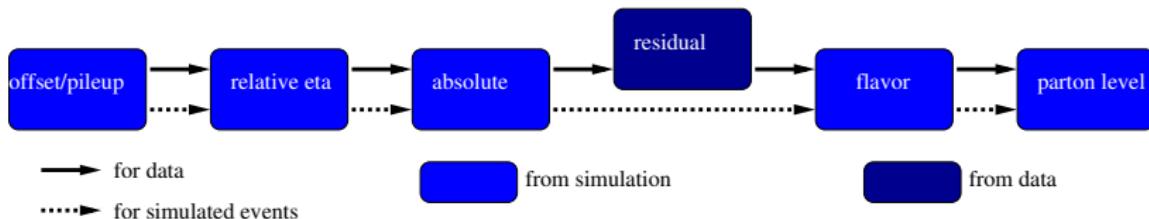
Jets at CMS

Jet types:

- Generator jets
input: stable generated particles
- Calorimeter jets
input: calorimeter towers (HCAL cells + ECAL crystals) after threshold cuts against noise
- Jet-Plus-Track jets
correct reconstructed calorimeter jets with tracks
- Particle Flow
combines information from **all CMS sub-detectors**
and reconstructs muons, electrons, photons,
charged hadrons and neutral hadrons
- Track jets
input: well measured tracks



Jet Energy Corrections



Factorized Approach:

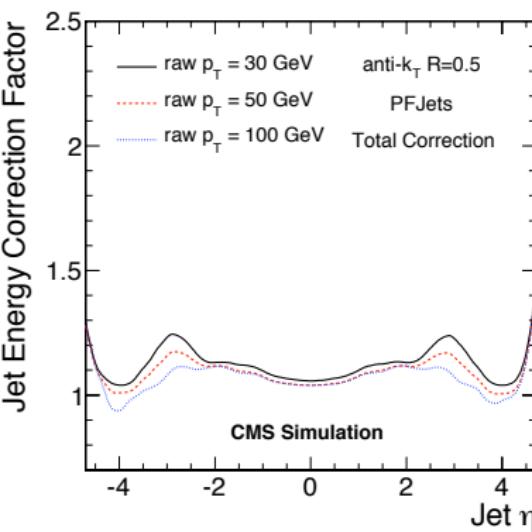
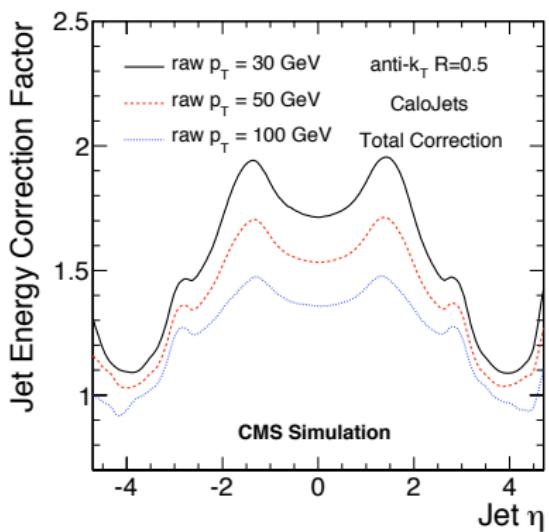
- offset: removal of pile-up and electronic noise
 - relative η : variations of jet responses with η
 - absolute: correction to particle level jet response
 - (only for data) residual: correct for differences between data and simulation
 - flavor: correct to particle level assuming different flavors
 - parton: correct to parton level

Monte Carlo Truth Jet Energy Corrections

Absolute and relative correction: $C(p_T, \eta)$

input: **PYTHIA** QCD events and **GEANT4** simulation

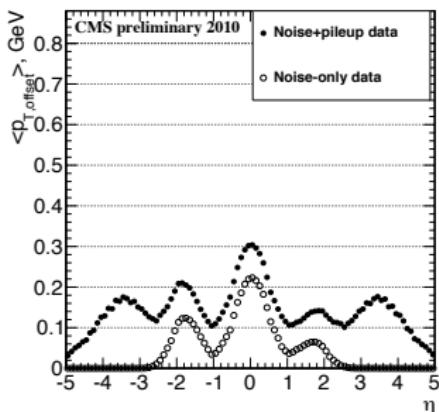
goal: bring response $R = \frac{p_T^{jet}}{p_T^{GenJet}}$ to one



Pileup Correction

Algorithms:

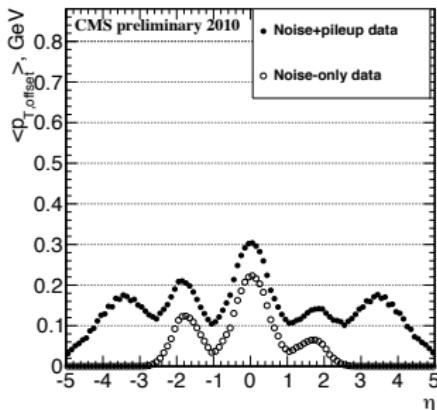
- estimate amount of Pileup using
 - number of primary vertices (PVs)
 - compute UE/pileup density ρ using **FastJet**
- ... correct jets for number of PVs or jet area
- explicitly remove particles from other PVs before clustering jets



Pileup Correction

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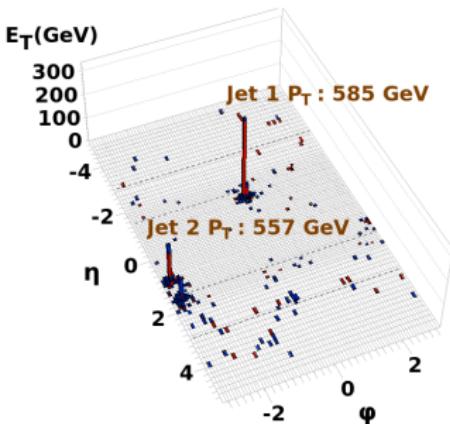
In the following:
validate jet reconstruction and
correction on data!

Dijet Asymmetry Method

Event Selection:

- use special triggers on average p_T of dijet system
- two highest p_T jets:
 - pass jet quality cuts
 - $\Delta\varphi(\text{jet1}, \text{jet2}) > 2.7$
 - $p_T^{\text{ave}} = (p_T^{\text{jet1}} + p_T^{\text{jet2}})/2$
- cut on $p_{T,\text{rel}}^{\text{jet3}} = \frac{p_T^{\text{jet3}}}{p_T^{\text{ave}}}$

Run : 138919
 Event : 32253996
Dijet Mass : 2.130 TeV

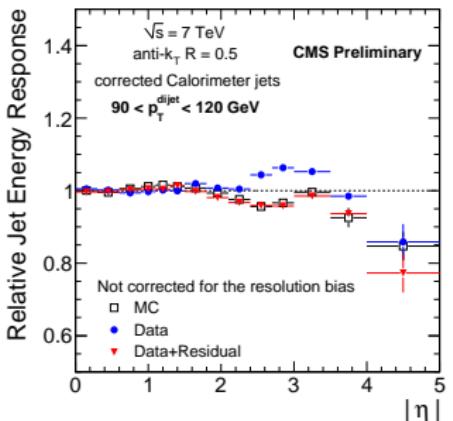
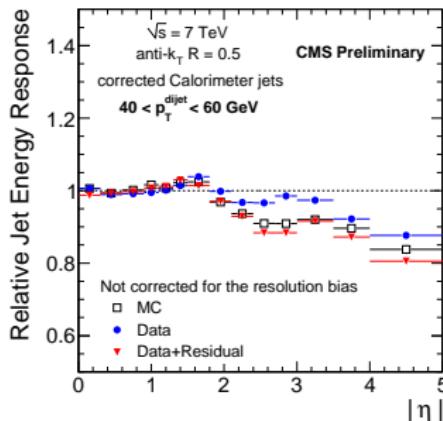


Study:

- Asymmetry: $A = \frac{p_T^{\text{jet1}} - p_T^{\text{jet2}}}{p_T^{\text{jet1}} + p_T^{\text{jet2}}}$
- relative Response: $R(\eta^{\text{jet2}}, p_T^{\text{ave}}) = \frac{1 + \langle A \rangle}{1 - \langle A \rangle} \rightarrow \frac{p_T^{\text{jet1}}}{p_T^{\text{jet2}}} \text{ for one event}$

Relative Response

require one (tag) jet in barrel ($|\eta| < 1.3$) and $R(\eta^{\text{probe}}, p_T^{\text{ave}}) = \frac{1+\langle A \rangle}{1-\langle A \rangle}$

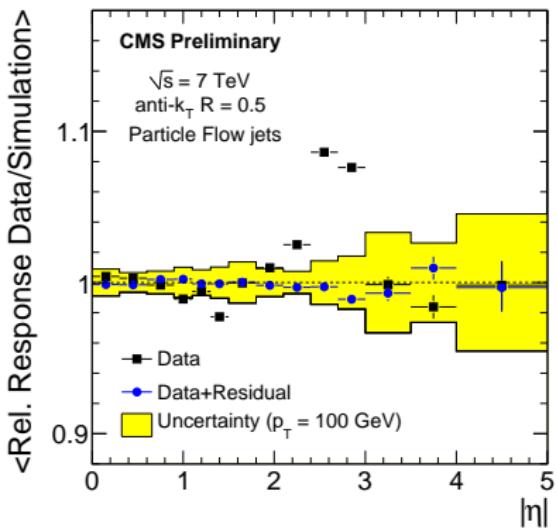
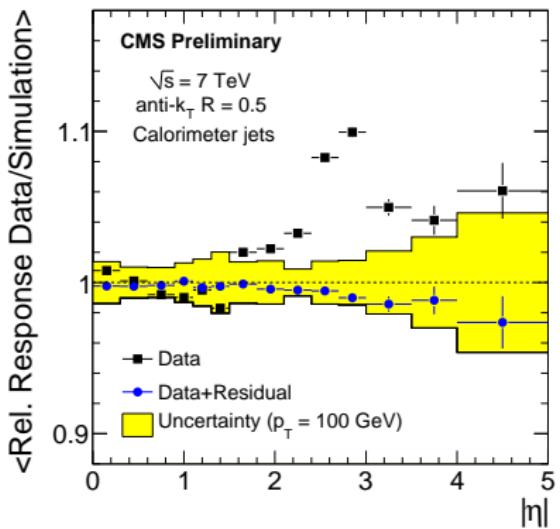


- *resolution bias* due to steeply falling spectrum and varying resolution in eta
- effect due to soft radiation (FSR) (different modelling in MC compared to data)

-> look at ratio $\frac{R^{\text{data}}}{R^{\text{simulation}}}$ and extrapolate it to $p_{T,\text{rel}}^{\text{jet3}} = 0$

Dijet Balance on $L = 2.9 \text{ pb}^{-1}$

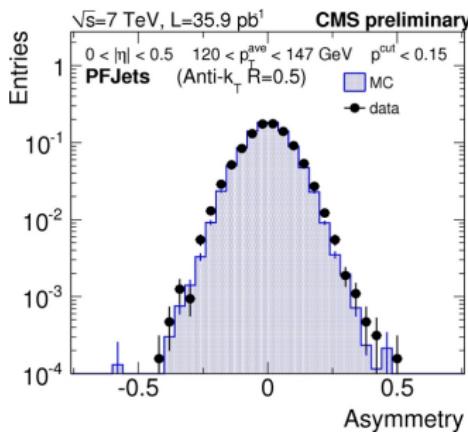
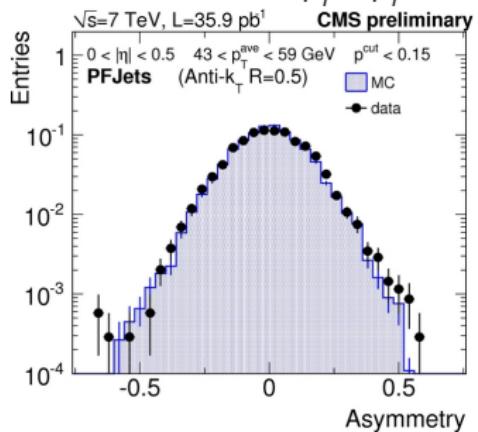
Ratio of relative responses: $\frac{R^{\text{data}}}{R^{\text{simulation}}}$:



- residual correction clearly needed
- already good precision with first data
- update for full 2010 data set done, but not yet published

Jet Resolution from Dijet Asymmetry

$$\text{Asymmetry: } A = \frac{p_T^{\text{jet}1} - p_T^{\text{jet}2}}{p_T^{\text{jet}1} + p_T^{\text{jet}2}}$$

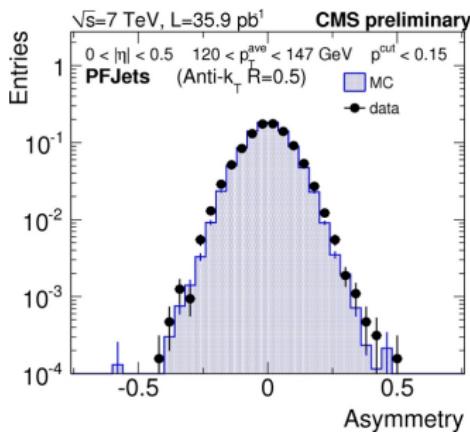
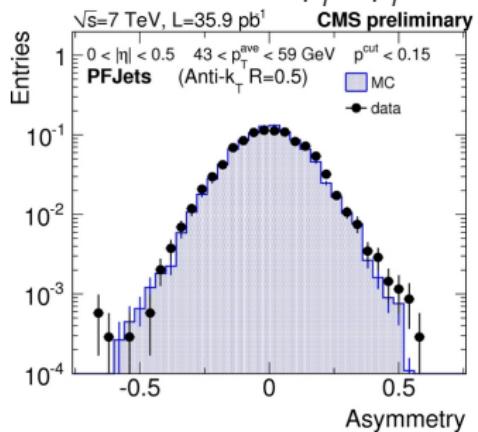


In the limit $p_T = \langle p_T^{\text{jet}1} \rangle = \langle p_T^{\text{jet}2} \rangle$ and $\sigma(p_T) = \sigma(p_T^{\text{jet}1}) = \sigma(p_T^{\text{jet}2})$:
 $\frac{\sigma(p_T)}{p_T} = \sqrt{2}\sigma_A$.

- extra activity from soft radiation
- particle-level imbalance (out-of-cone showering)
 -> ???

Jet Resolution from Dijet Asymmetry

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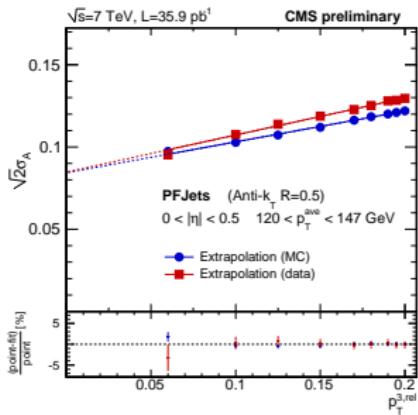


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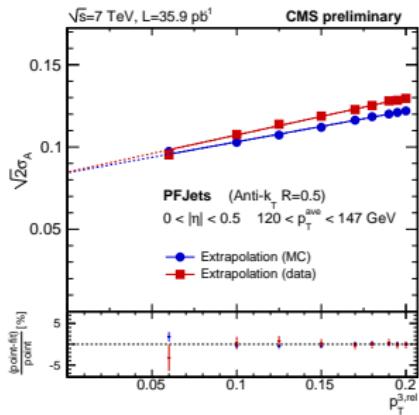


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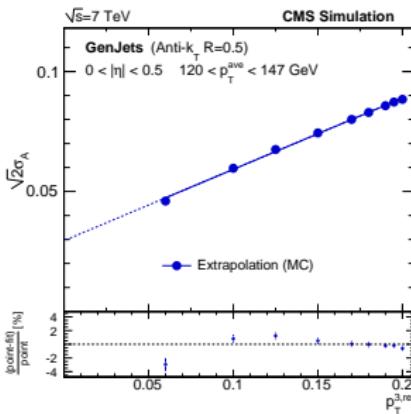
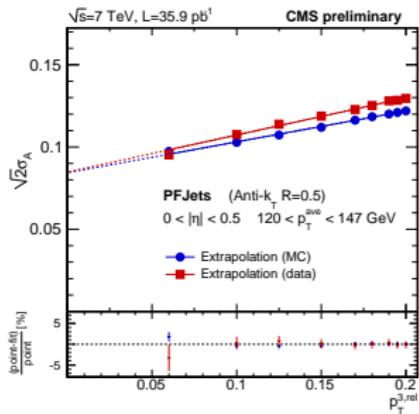


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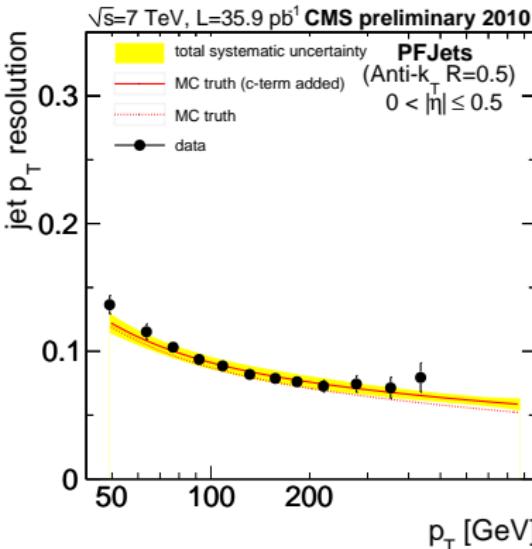
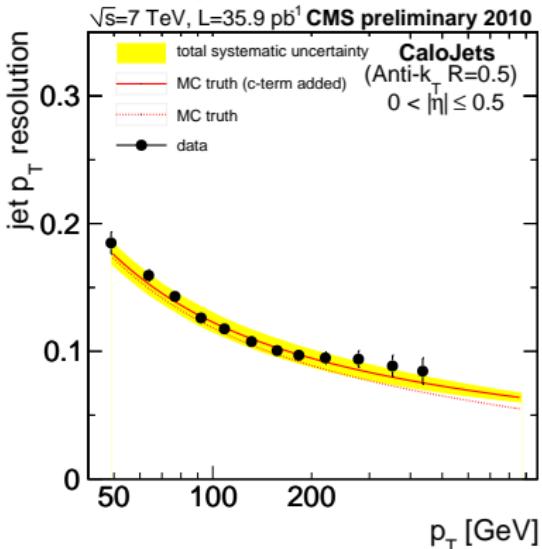


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Resolution Measurement with $L = 36 \text{ pb}^{-1}$

$$\text{fit: } \frac{\sigma(p_T)}{p_T} = \sqrt{\text{sgn}(N)\left(\frac{N}{p_T}\right)^2 + S^2 \cdot p_T^{(M-1)} + C^2}$$

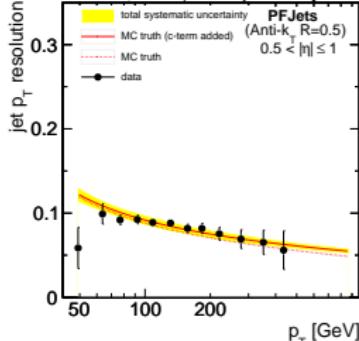


- PF jets have better resolution than Calorimeter jets
- $\approx 10\%$ worse resolution in data than simulation (compatible with larger constant term in resolution formula)

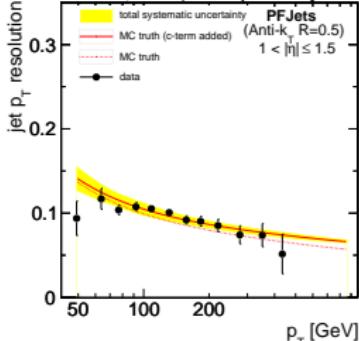
Resolution of PF jets with $L = 36 \text{ pb}^{-1}$

$$\text{fit: } \frac{\sigma(p_T)}{p_T} = \sqrt{\text{sgn}(N) \left(\frac{N}{p_T}\right)^2 + S^2 \cdot p_T^{(M-1)} + C^2}$$

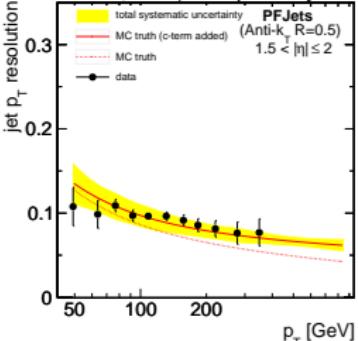
$\sqrt{s}=7 \text{ TeV}, L=35.9 \text{ pb}^{-1}$ CMS preliminary 2010



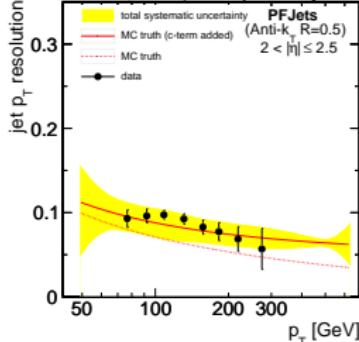
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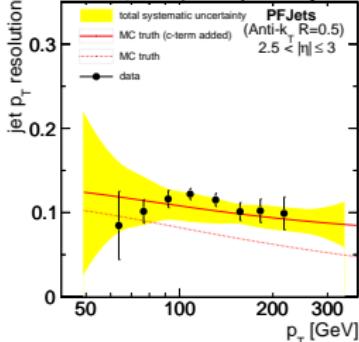
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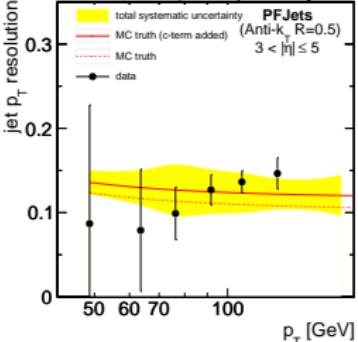
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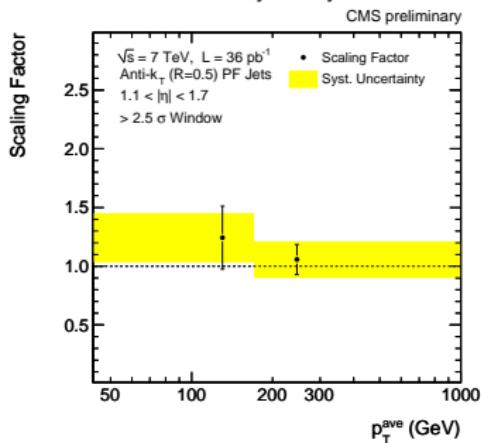
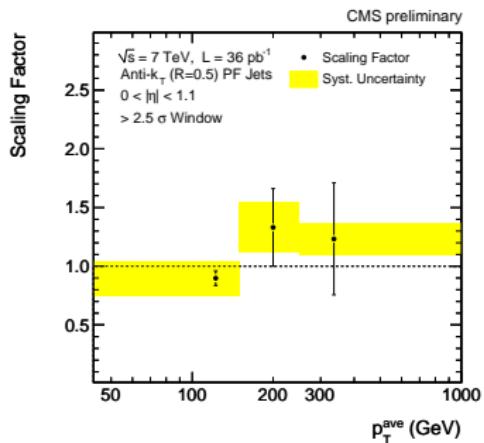
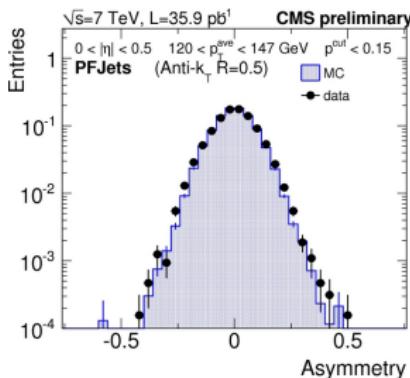
$\sqrt{s}=7 \text{ TeV}, L=35.9 \text{ pb}^{-1}$ CMS preliminary 2010



Response Tails from Dijet Balance on L = 36 pb⁻¹

Idea:

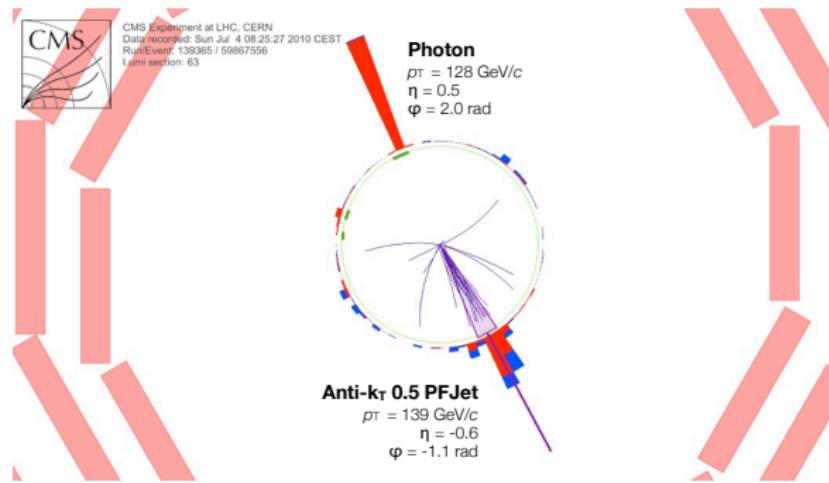
- count events in tail of asymmetry
- extrapolate $p_{T,\text{rel}}^{\text{jet}3} = 0$
- compare with simulation



Photon-Jet Events

Event Selection:

- use photon trigger
- one photon and highest p_T jet:
- cut on $p_{T,\text{rel}}^{\text{jet}2} = \frac{p_T^{\text{jet}2}}{p_T^\gamma}$

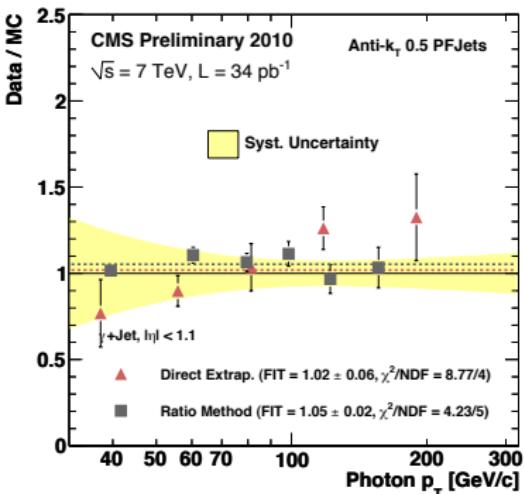
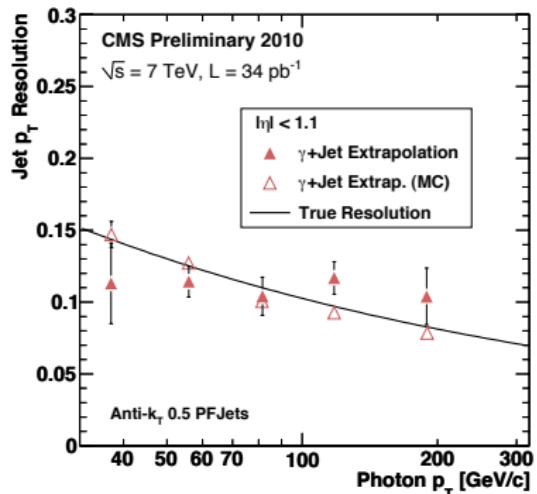


Study:

- jet balancing: $R_{\text{jet}} = \frac{p_T^{\text{jet}}}{p_T^\gamma}$
- MPF (missing E_T projection method) $R_{\text{jet}} \approx R_{\text{MPF}} = R_\gamma + \frac{\vec{E}_T^{\text{miss}} \cdot \vec{p}_T^\gamma}{(p_T^\gamma)^2}$

Photon-jet Balance on L = 36 pb⁻¹

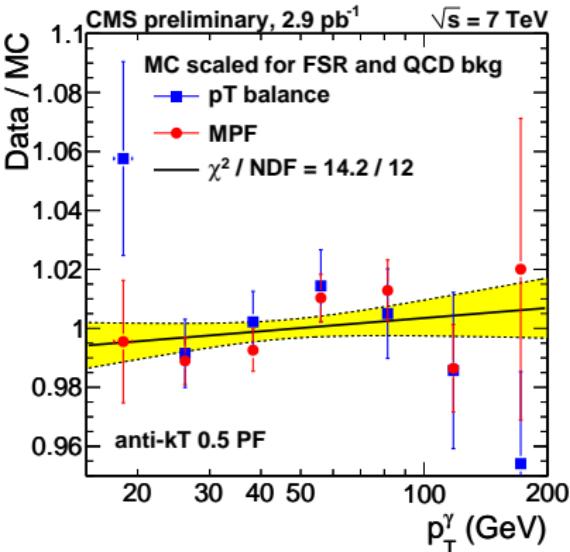
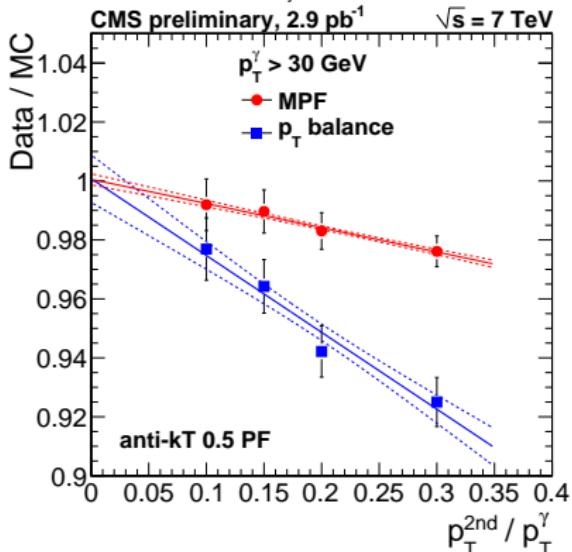
estimate resolution from $\sigma(\frac{p_T^{jet}}{p_T^\gamma})$, extrapolate to $p_T^{\text{jet2},\text{rel}} = 0$



- agreement between data and MC
- cross check to dijet asymmetry result

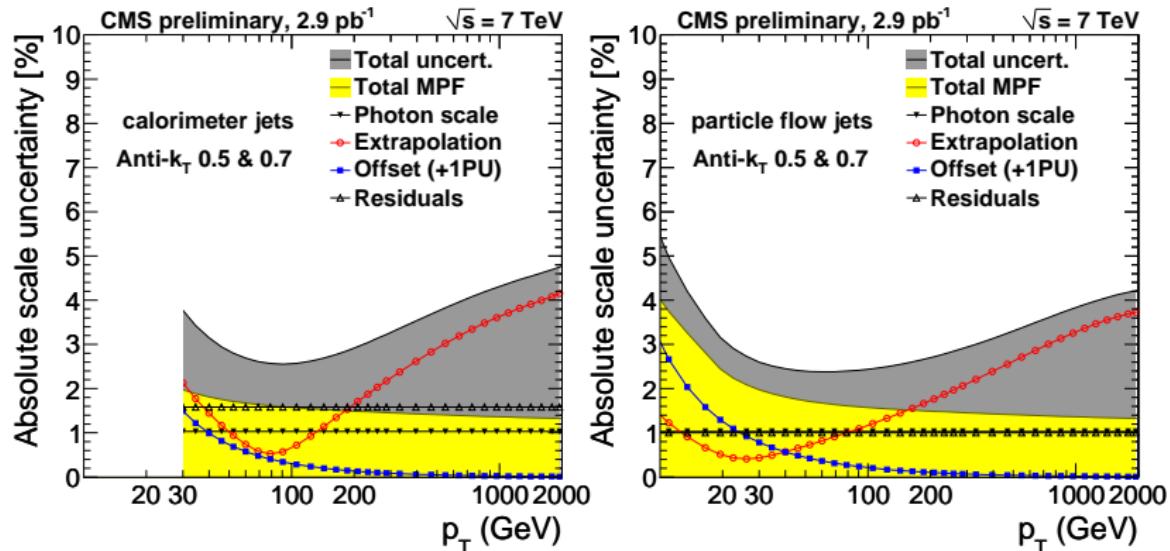
Absolute Jet Energy Scale $L = 2.9 \text{ pb}^{-1}$

response ratio: $\frac{R_{\text{jet}}^{\text{data}}}{R_{\text{simulation}}^{\text{jet}}} :$



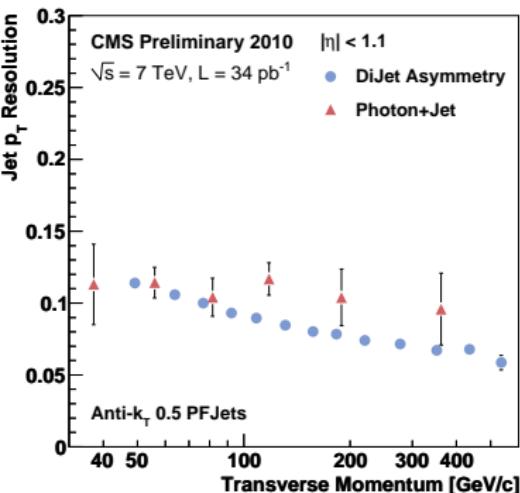
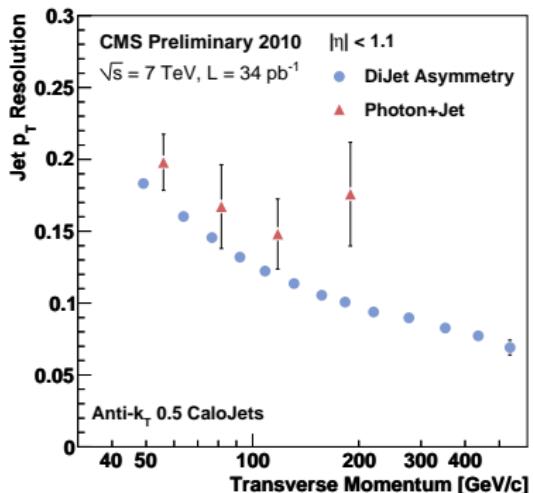
- extrapolate to $p_{T,\text{rel}}^{\text{jet}2} = 0$
- derive scale relative to ECAL for $p_T = 50 \text{ GeV}$ from fit:
ratio: $0.993 \pm 0.004(\text{stat.}) \pm 0.026(\text{syst.})$

Summary: Uncertainty of Jet Energy Scale



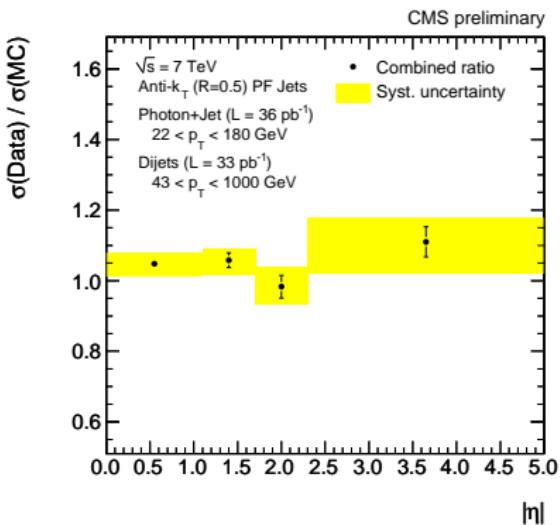
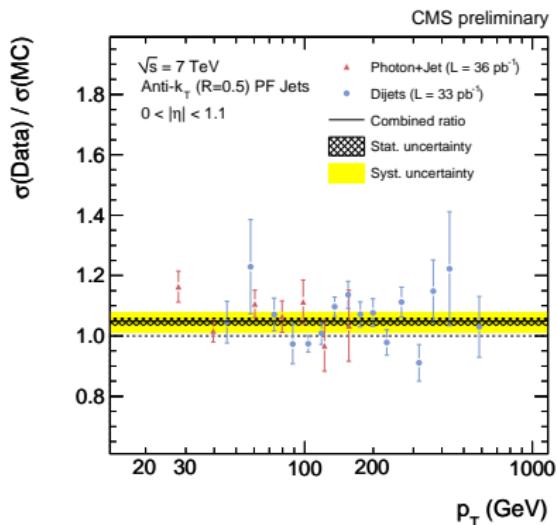
- uncertainty on absolute jet energy scale: 3 – 6% with $L = 2.9 \text{ pb}^{-1}$
- improved version for full 2010 data set soon

Summary: Jet Resolution



- PF jets have better resolution than Calorimeter jets
- agreement between Dijet and photon-jet results
- with more data: improve precision and reach, add Z-jet

Summary: Resolution Comparison for PF jets



≈ 10% worse resolution in data than simulation

Summary

Summary:

- three well established jet types:
Calorimeter jets, JetPlusTrack jets and Particle Flow jets
- established methods to measure relative and absolute jet energy scale corrections and jet resolution in data
- derived (small) residual jet energy corrections using first data uncertainty on absolute scale from 3 pb^{-1} : 3 - 6 %.
- measured the jet resolution in Dijet and Photon-jet events

Outlook:

with more data:

- improve methods
- add additional channels (Z-jet)
- reduce jet energy scale uncertainty
- improve understanding of jet response (resolution)

Physics Analysis Summaries

- “Single-Particle Response in the CMS Calorimeters”, CMS-PAS-JME-10-008, 2010
- “Jet Performance in pp Collisions at 7 TeV”, CMS-PAS-JME-10-003, 2010
- “Jet Energy Corrections determination at 7 TeV”, CMS-PAS-JME-10-010, 2011
- “Jet Energy Resolution in CMS at $\sqrt(s) = 7 \text{ TeV}$ ”, CMS-PAS-JME-10-014, 2011
- “Jet Substructure Algorithms”, CMS-PAS-JME-10-013, 2011
- “Commissioning of the Particle-Flow reconstruction in Minimum-Bias and Jet Events from pp Collisions at 7 TeV”, CMS-PAS-PFT-10-002, 2010