Gravitational wave and parity-odd signals of massive gauge boson at the Cosmological collider

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Selling points and motivations

- How to recognize the presence of heavy($m \sim O(H)$) particles during inflation?
- Conventional Approach: Cosmological Colliders

Three-point correlation scalar perturbation functions oscillate with the "squeezed shape". Frequency is related to the mass.^[1]

- Current study: Gravitational wave interferometers as particle detectors
- Motivations: CMB constrains and more: $f_{NL} \sim O(1)$ SPHEREX in next year! Parity-Violation signals^[2] BOSS

[1] arXiv 0911.3380 X.Chen, Y.Wang. 1109.0292 D.Baumann, D.Green. 2004.02887 Y.Wang, Z.Xianyu. 1508.08043 N.Arkani-Hamed, J. Maldacena
[2] arXiv 2206.03625 J. Hou, Z. Slepian, R.N. Cahn. 2206.04227 Oliver H.E. Philcox

Massive gauge boson production

•
$$\mathcal{L} = -\frac{\phi}{4\Lambda} \tilde{F}^{\mu\nu} F_{\mu\nu} + \frac{1}{2} m_A^2 A^\mu A_\mu - \frac{1}{4} F^{\mu\nu} F_{\mu\nu} - \partial_\mu \phi \partial^\mu \phi$$

• Chemical potential ξ overcome the Boltzmann suppression: $e^{-\pi \frac{m}{H}} \rightarrow e^{\pi(\xi - \frac{m}{H})}$

$$\rho_A = \frac{1}{2} \left\langle \boldsymbol{E}^2 + \boldsymbol{B}^2 + \frac{m_A^2}{a^2} \boldsymbol{A}^2 \right\rangle$$

 $\xi \equiv \frac{\phi}{2\Lambda H}$

• The vertical dashed line shows the **beginning** of boson production:

$$-k\tau = \xi + \sqrt{\xi^2 - \frac{m_A^2}{H^2}}$$



10Backreaction shouldn't affect standard inflation Tensor-to-scalar ratio $r < 0.056^{[1]}$ ۲ Power spectrum domain at Tree level $P_{\zeta}^{\phi} > P_{\zeta}^{A}$ ٠ $/H_{\rm CMB}$ φ $m_{A/}$ Non-Gaussianity $f_{NL}^{equil} < -27 \pm 47^{[1]}$ CMB • 0.5 $\vec{k_2}$ 0.2 \rightarrow k_3 ϕ_{k_3} 0.1 2 3 0

Phenomenological Constrains at CMB

[1] Planck 2018 arXiv 1905.05697 and 1807.06211



Signals from three-point correlation functions

• Oscillation patten in squeezed three-point



 $\stackrel{\rightarrow}{k_3}$

 $\overrightarrow{k_1}$

Signals from four-point correlation functions

• **Parity-violation** happens when P-transformation can't be achieved by rotation. (typically four external momenta are NOT in a plane)



Two-point and three-point are P-even. Four-point is the simplest configuration for P-odd

- $P even \quad P odd$
- $\left\langle \zeta_{\vec{k_1}} \overset{\rightarrow}{\zeta_{\vec{k_2}}} \zeta_{\vec{k_3}} \overset{\rightarrow}{\zeta_{\vec{k_4}}} \right\rangle \propto T_{(k1,k2,k3,k4)} \rightarrow Re[T] + Im[T]$
- Observations: P-even^[1] $\tau_{NL} < (-5.8 \pm 6.5) \times 10^4$ P-odd in BOSS galaxy with around $7\sigma^{[2]}$ and $3\sigma^{[3]}$

Planck 2018 arXiv 1905.05697
arXiv 2206.03625
arXiv 2206.04227

Signals from four-point correlation functions



Signals from gravitational waves

Chemical potential ξ and mass $\frac{m_A}{H}$ evolve due to slow roll and backreaction. •

 10^{-4}

30

 10^{0}

20

 10^{4}

10

Signals from gravitational waves

- Large chemical potential ξ dramatically enhances the GW.
- GW elude CMB scale, but can be detected at (future) interferometer scale.

	ξ_{CMB}	$rac{m_A}{H_{CMB}}$
1	4.7	4
2	2.75	1.3
3	2.4	1.3
4	2.75	2.1

Conclusions

- Massive gauge boson can be **sufficiently produced** by Chern-Simons $\phi \tilde{F}^{\mu\nu}F_{\mu\nu}$
- We constrain Chemical potential and mass from CMB measured by Planck 2018
- We show **oscillation pattern** in Bispectrum and **P-violation** in Trispectrum
- We study the backreaction and evolution of chemical potential and mass. We show the **gravitational wave**(smaller than CMB scale) can be detected by the whole range of interferometers.

Signals from four-point correlation functions(Back-up)

Blue and red triangles rotate about the dashed line.

Why P-odd is Im[T](Back-up)

$$\zeta(t, \mathbf{x}) = \int \frac{d^3k}{(2\pi)^3} \zeta(t, \mathbf{k}) e^{i\mathbf{k}\cdot\mathbf{x}}$$
$$= \int \frac{d^3k}{(2\pi)^3} \zeta^*(t, \mathbf{k}) e^{-i\mathbf{k}\cdot\mathbf{x}}$$

$$\zeta(t, -\mathbf{x}) = \int \frac{d^3k}{(2\pi)^3} \zeta(t, \mathbf{k}) e^{-i\mathbf{k}\cdot\mathbf{x}}$$

 $\zeta^*(t, \mathbf{k})$ and $\zeta(t, \mathbf{k})$ share the same real part, but different Imaginary part.

Zigzag in massive P-odd(Back-up)

Add a **global** phase to make mode function to be mostly real

$$A_{+}(\tau,k) = \frac{1}{\sqrt{2k}} e^{+\frac{\pi\xi}{2}} W_{-i\xi,i\mu}(2ik\tau)$$

$$A_+(\tau,k) \rightarrow W^*_{-i\xi,i\mu} (2ik_*\tau_*) A_+(\tau,k)$$

Thus we simplify in-in formalism to fasten numerical calculation

