

* Based on Arxiv:2204.03011 Pilar Coloma, Maria Concepcion Gonzalez-Garcia, Michele Maltoni, J.P.P., Salvador Urrea

Constraining New Physics with Borexino Phase-II spectral data

João Paulo Pinheiro*

Universitat de Barcelona

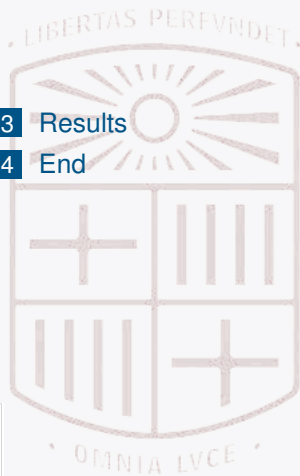
May 7, 2023



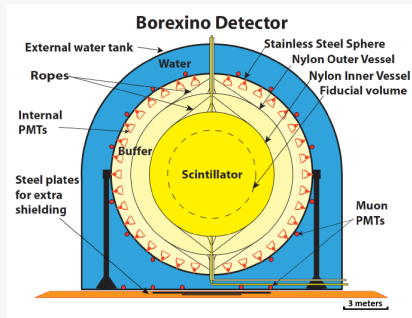
Summary

- 1 Borexino Phase II
- 2 BSM Scenarios

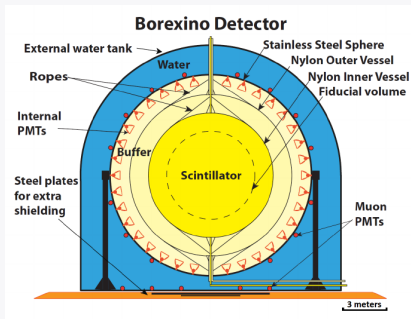
- 3 Results
- 4 End



Experiment



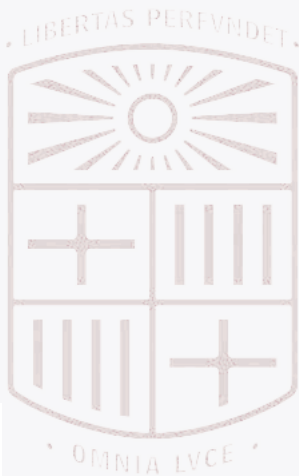
Experiment



Borexino Phase-II data was collected between December 14th, 2011 to May 21st, 2016 and the CNO flux was not detected yet.

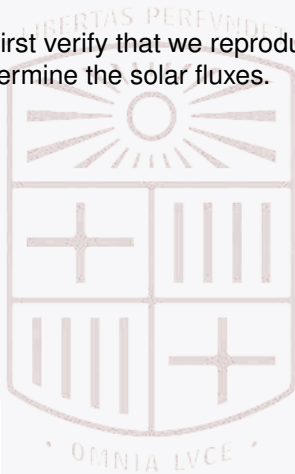
Analysis of Borexino Phase-II Spectrum

★ We analysed the full spectra of the Borexino Phase II data. There are two types of data sample, Tagged and Subtracted.



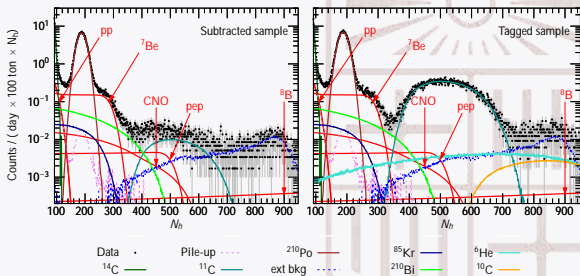
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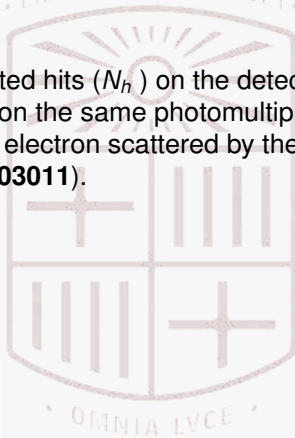
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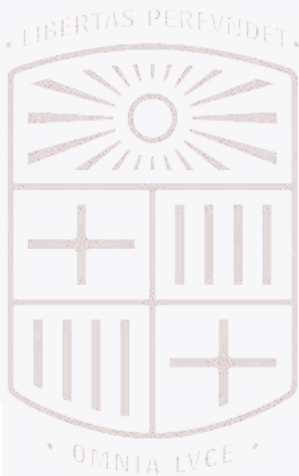


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- ★ With the constructed and verified χ^2 we studied BSM scenarios affecting the propagation and/or de interaction of the neutrinos.

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- ★ In the calculation of the $\nu_e \rightarrow \nu_{\beta}$ neutrino transition probabilities $P_{e\beta}(E_{\nu})$, we included the propagation matter effects through the Sun and Earth.

INTERPLAY OSCILLATIONS-INTERACTIONS IN LFV BSM SCENARIOS

★ In our analysis we made use of the full density matrix of neutrino's propagation, $\rho_{\alpha\beta}^{(e)} = S_{\alpha e} S_{\beta e}^*$, where S is the neutrino evolution matrix, thus accounting also for its non-diagonal entries as compared to a formulation based solely on neutrino probabilities:

$$N_{\text{ev}} \propto \sum_{\beta} P_{e\beta} \sigma_{\beta}^{\text{SM}} \quad ! \quad N_{\text{ev}} \propto \text{Tr} \left[\rho^{(e)} \sigma^{\text{SM}} \right],$$

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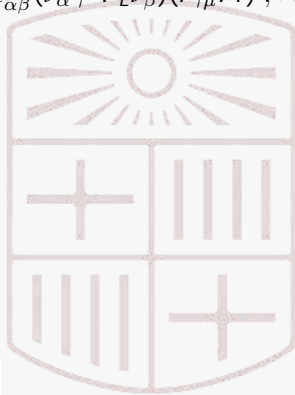
★ In the SM, the generalized cross section matrix σ^{SM} is diagonal in the flavour basis: $\sigma^{\text{SM}} = (\sigma_{\beta}^{\text{SM}})$, hence recovering the usual probability-based formula.

INTERPLAY OSCILLATIONS-INTERACTIONS IN LFV BSM SCENARIOS

★ When the BSM is not lepton-flavour conserving, the CC-defined flavour basis may no longer correspond to the NC eigenstates, and extra care must be taken with the interplay of oscillations and scattering. In this case the corresponding generalized cross section matrix σ^{BSM} will not be diagonal.

NON-STANDARD INTERACTIONS

$$L_{\text{NSI,NC}} = 2^{\rho-} 2G_F \sum_{f,P,\alpha,\beta} \epsilon_{\alpha\beta}^{f,P} (\nu_{\alpha} \gamma^{\mu} P_L \nu_{\beta}) (f \gamma_{\mu} P f),$$



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★ We considered four Lorentz structures of NSI operators: Vector, Axial, Left and Right.

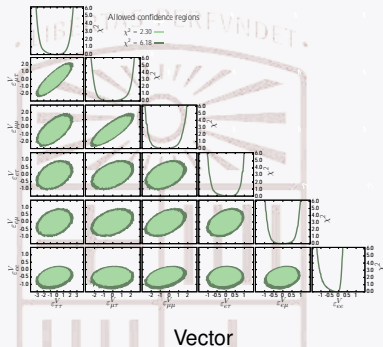
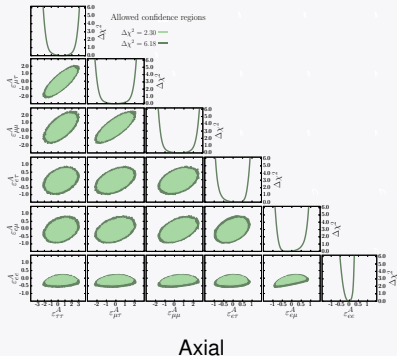


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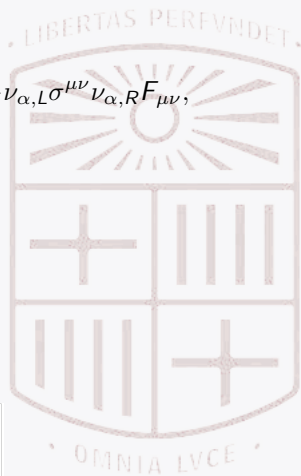
- ★ We considered four Lorentz structures of NSI operators: Vector, Axial, Left and Right.
- ★ We included all 6 (real) NSI coefficients for each structure / quantify importance of correlations and cancellations.

NON-STANDARD INTERACTIONS-Vector and Axial



NEUTRINO MAGNETIC MOMENT

$$\mathcal{L}_{\text{MM}} = \sum_{\alpha} \frac{\mu_{\nu_{\alpha}}}{m_e \mu_B} \nu_{\alpha, L} \sigma^{\mu\nu} \nu_{\alpha, R} F_{\mu\nu},$$



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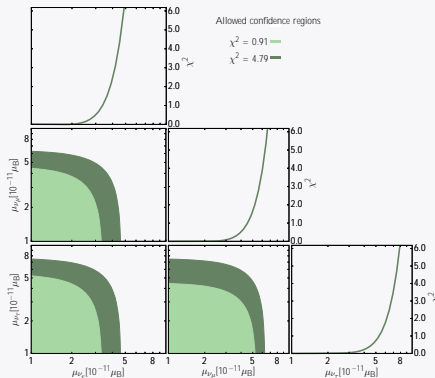
★ We allowed different magnetic moments for the different neutrino flavours - albeit still imposing that they are flavour-diagonal.

NEUTRINO MAGNETIC MOMENT

Obtained the bound (with 90% CL for 1 d.o.f., one-sided)

$$\mu_\nu < 2.8 \cdot 10^{-11} \mu_B,$$

and for one-dimensional projections (with 90% CL for 1 d.o.f., one-sided)



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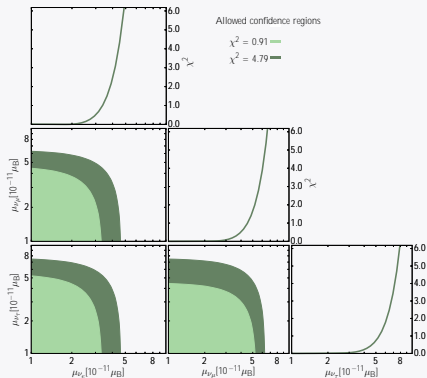
$$\mu_\nu < 2.8 \cdot 10^{11} \mu_B,$$

and for one-dimensional projections (with 90% CL for 1 d.o.f., one-sided)

$$\mu_{\nu e} < 3.7 \cdot 10^{11} \mu_B,$$

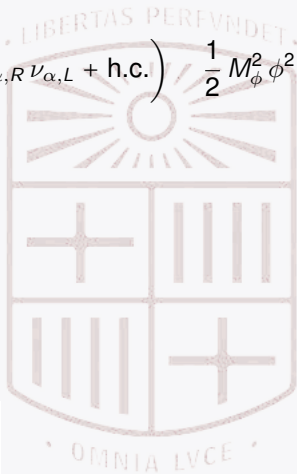
$$\mu_{\nu \mu} < 5.0 \cdot 10^{11} \mu_B \text{ and}$$

$$\mu_{\nu \tau} < 5.9 \cdot 10^{11} \mu_B.$$



LIGHT SCALAR, PSEUDO-SCALAR AND VECTOR MEDIATORS

$$L_\phi = g_\phi \phi \left(q_\phi^e ee + \sum_\alpha q_\phi^{\nu_\alpha} \nu_{\alpha,R} \nu_{\alpha,L} + \text{h.c.} \right) - \frac{1}{2} M_\phi^2 \phi^2,$$



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$$L_V = g_{Z^0} Z_\mu^0 \left(q_{Z^0}^e e \gamma^\mu e + \sum_\alpha q_{Z^0}^{\nu_\alpha} \nu_{\alpha,L} \gamma^\mu \nu_{\alpha,L} \right) + \frac{1}{2} M_{Z^0}^2 Z^{0\mu} Z_\mu^0.$$

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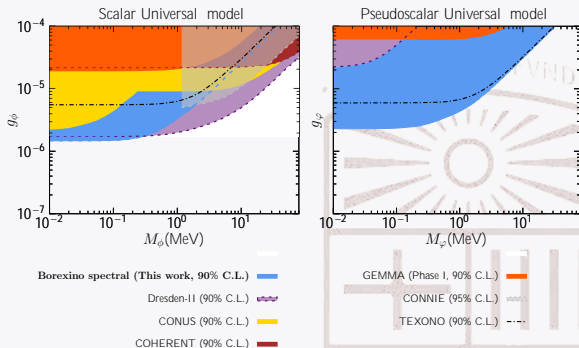
$$L_\phi = g_\phi \phi \left(q_\phi^e ee + \sum_\alpha q_\phi^{\nu_\alpha} \nu_{\alpha,R} \nu_{\alpha,L} + \text{h.c.} \right) - \frac{1}{2} M_\phi^2 \phi^2,$$

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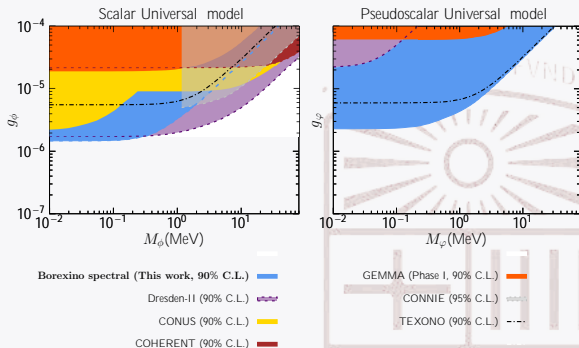
★ We considered three anomaly-free vector mediators that can contribute for the electron neutrino ES.

SCALAR AND PSEUDO-SCALAR



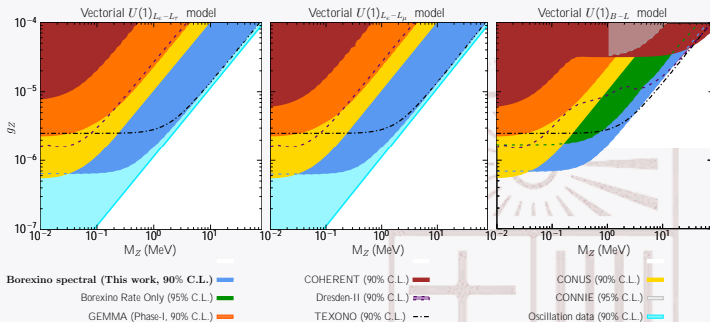
★ In the scalar scenario ! very light mediator masses $M_\phi \sim 0.5$ MeV.

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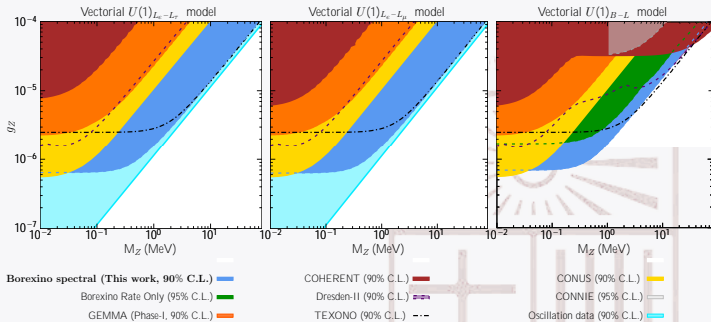
- ★ In the scalar scenario / very light mediator masses $M_\phi \sim 0.5$ MeV.
- ★ In the pseudoscalar scenario / mediator masses $M_\phi \sim 5$ MeV.

VECTOR MEDIATOR



★ Improved by a factor 60% on the upper bound for very light mediators
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- ★ Improvements on the bounds from scattering experiments.

Thank you!

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