# Discovering the QCD Axion with Polarization Haloscopes

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PHENO 2023 — May 8, 2023

based on arXiv:2209.12901, with Asher Berlin

# Signatures of QCD Axion Dark Matter

$$\mathcal{L} \supset \frac{1}{8\pi f_a} \left( \alpha_s a G^{\mu\nu} \tilde{G}_{\mu\nu} - \alpha_{\rm EM} C_{a\gamma} a F^{\mu\nu} \tilde{F}_{\mu\nu} \right)$$

Defining coupling to gluons, responsible for solving strong CP problem

Yields oscillating CP violating nuclear effects like neutron EDM

$$d_n = g_d a \sim (10^{-21} e \text{ fm}) \cos m_a t$$

Tiny effect hard to measure, especially at GHz axion frequencies ( $m_a \sim \mu eV$ )

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Coupling to photons can vary by 2 orders of magnitude in simple models

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Yields effective currents  $\mathbf{J}_{\text{eff}} = g_{a\gamma\gamma}\dot{a}\mathbf{B}$  which can be resonantly amplified in GHz frequency cavity haloscopes

This talk: adapt cavity haloscopes to polarization haloscopes, which probe the axion-gluon coupling

### Estimating Polarization Currents

QCD axion produces time-varying neutron EDMs  $d_n = g_d a$  along neutron spin, so a cavity filled with density  $n_n$  of spin-polarized neutrons carries a real current

$$\mathbf{J}_{\text{EDM}} = \dot{\mathbf{P}} = g_d \dot{a} n_n$$

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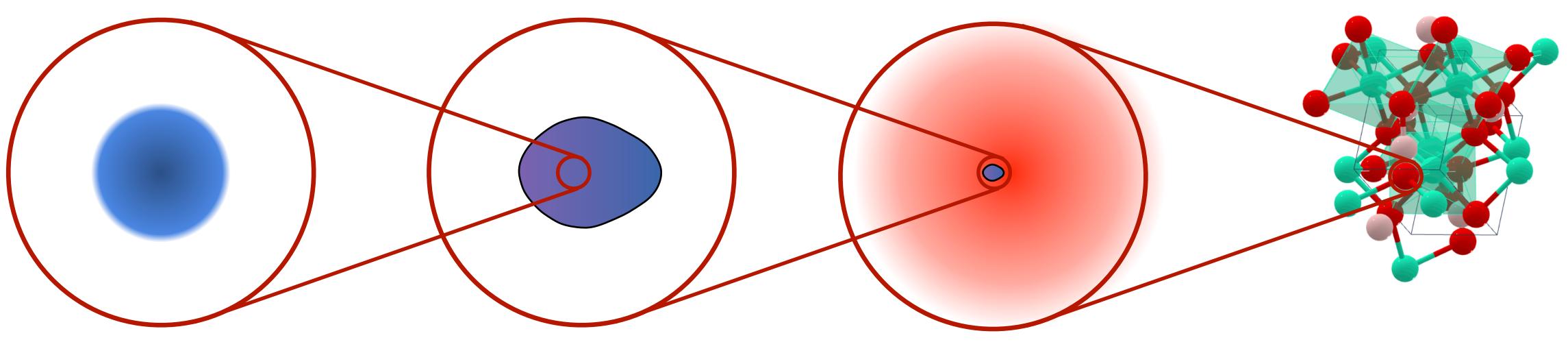
For a typical QCD axion, this is  $10^{-3}$  of the current in a cavity haloscope

Tough but possible to reach in the future, and worth trying, because it:

- probes qualitatively new parameter space
- removes model dependence on photon coupling
- is only known way to verify a cavity haloscope signal is the QCD axion

# Refining the Estimate

In reality, microwave cavity is filled with insulating material, not just free neutrons:



neutrons are in nuclei,

nuclei are in atoms,

atoms are in materials.

Resulting polarization current depends strongly on nucleus and material, but the free neutron estimate can be attained

#### Inducing Atomic EDMs

- The QCD axion induces a nuclear EDM, both directly through nucleon EDMs and indirectly by P and CP violating modifications to internucleon interactions
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- Atomic EDMs come from other axion-induced P, CP-violating nuclear moments:

electric octupole  $Q_{ijk}$  magnetic quadrupole  $M_{ij}$  Schiff moment  ${f S}$ 

most promising due to collective enhancement  $S \propto Z$  in octupole-deformed nuclei!

#### **Schiff Moments**

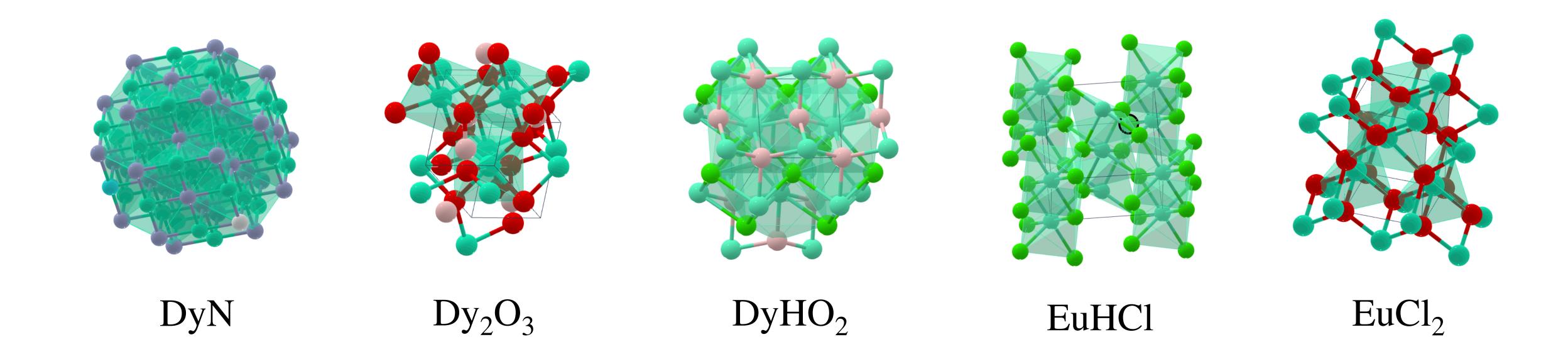
estimated 
$$\langle S_z \rangle$$
 (e fm³  $\theta_a$ )
4.3
1.0
1.2

estimated  $|d_A|$  (10⁻³ e fm  $\theta_a$ )
1.2
0.25
0.3

- Octupole deformations can exist in stable, commercially available rare earth nuclei (though more numeric and experimental work needed to verify)
- Can produce significant atomic EDMs of order  $d_A \propto Z^2 S \sim d_n$
- Can also use magnetic quadrupole moments enhanced by quadrupole deformation: well established, but  $\mathcal{O}(1)$  weaker signals

#### Some Candidate Materials

Material only has to be insulating, and have high number density of desired nuclei



(some simple, stable, commercially available possibilities)

In cavity filled with dielectric material, power in mode on resonance ( $\omega_i \simeq m_a$ ) is

$$P_{\text{sig}} \simeq m_a V \left( f_p n_0 d_A \right)^2 \eta^2 \frac{\min(Q_a, Q_0)}{\epsilon}$$

Polarization density of material (fractional nuclear spin polarization  $f_p$ )

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Resonant enhancement, requires high mode  $Q_0$  so low dielectric loss — common at cryogenic temperatures

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#### Maximizing Spin Polarization

In thermal equilibrium in cavity haloscope,  $f_p \propto B/T \sim \text{few }\%$  , but best sensitivity requires order-one  $f_p$ 

Many "hyperpolarization" methods considered in literature, such as:

Brute force

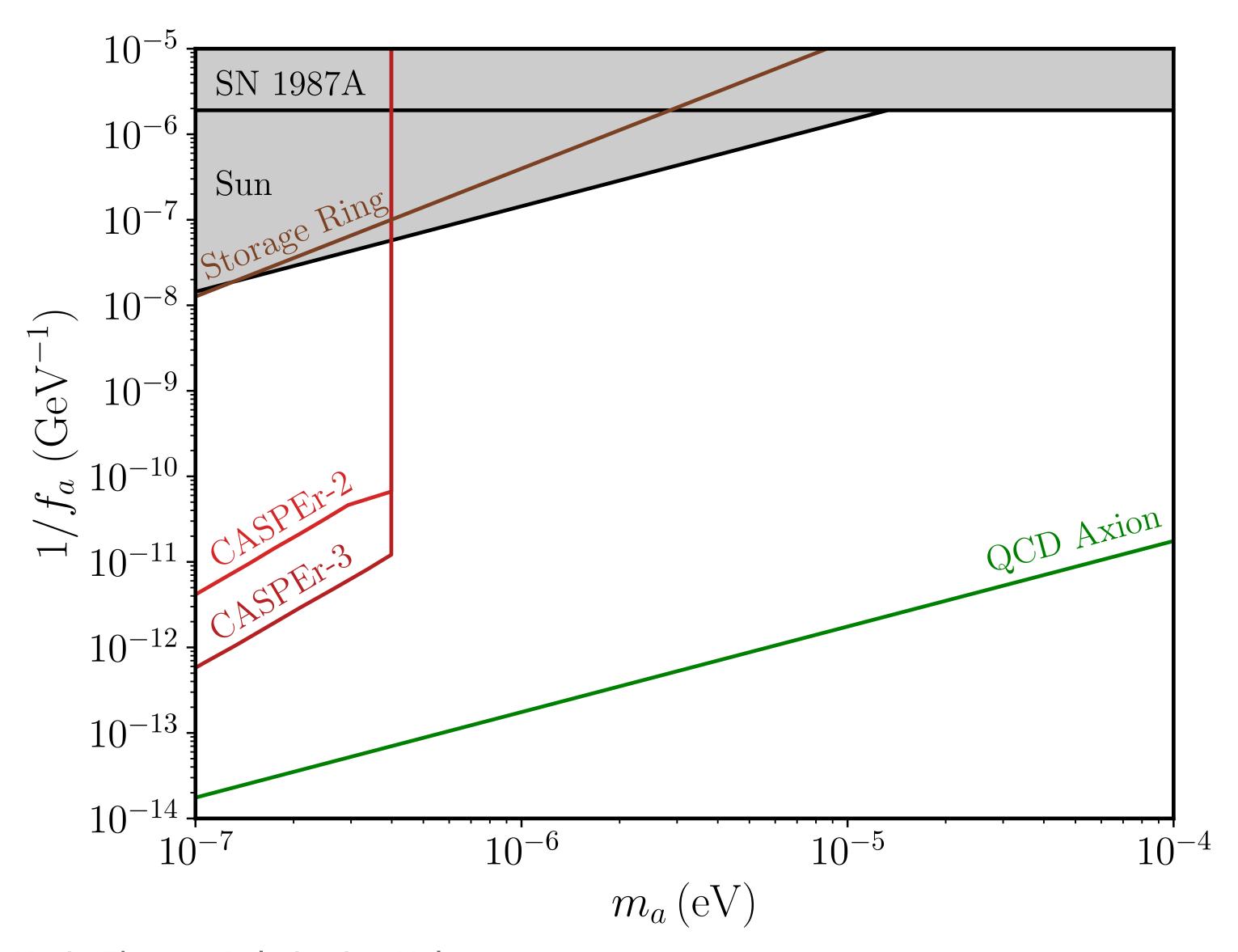
Apply  $B \gtrsim 10 \,\mathrm{T}$  at  $T \sim 2 \,\mathrm{mK}$ 

But: thermalization time may be prohibitively long

Frozen spin dynamic nuclear polarization

Polarize electron spins, transfer to nuclei with microwave radiation, and "freeze" result by lowering T

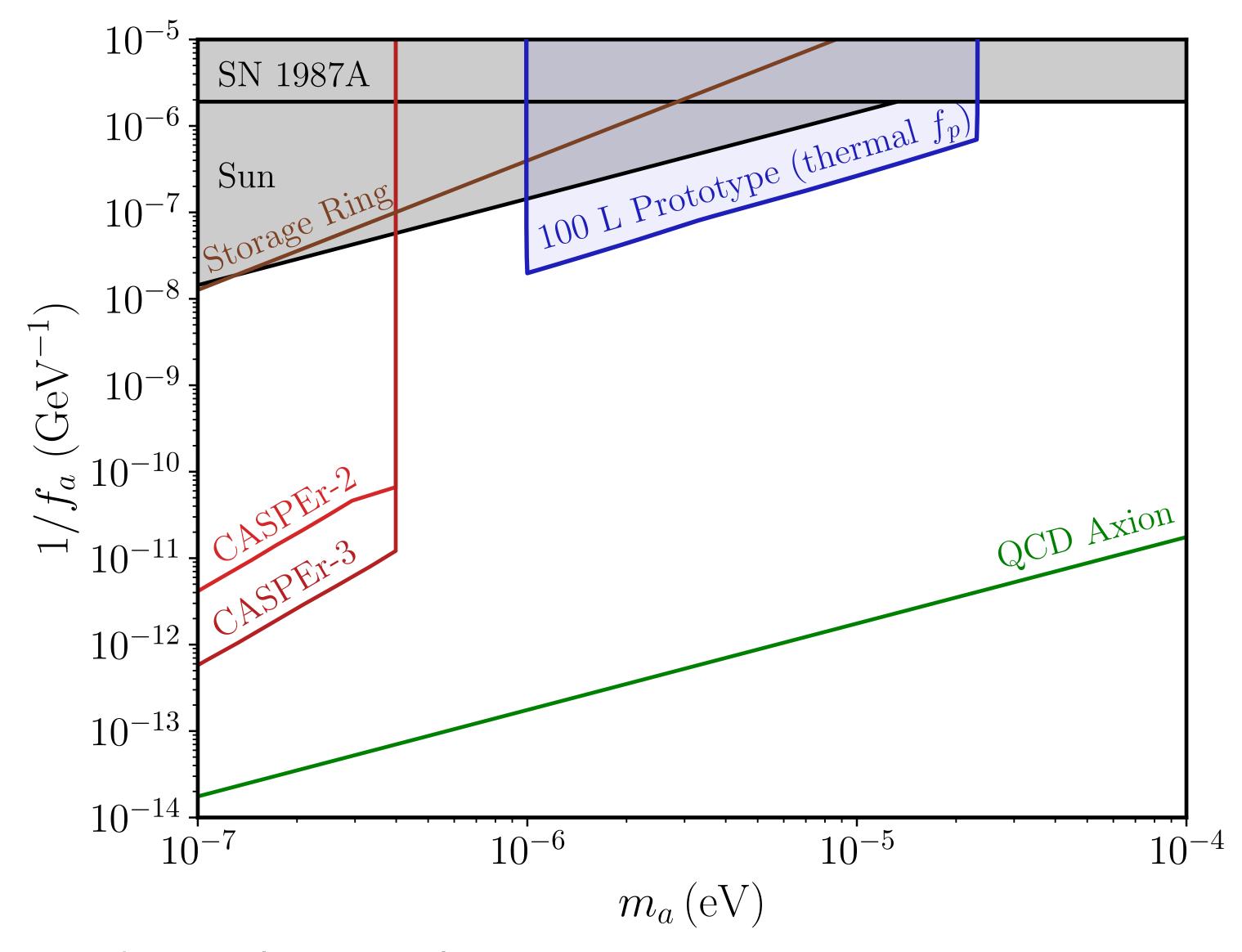
More elaborate instrumentation, but meter-scale targets realized at CERN



GHz frequencies are unprobed: too high for NMR, mechanical resonance, or static EDM expts

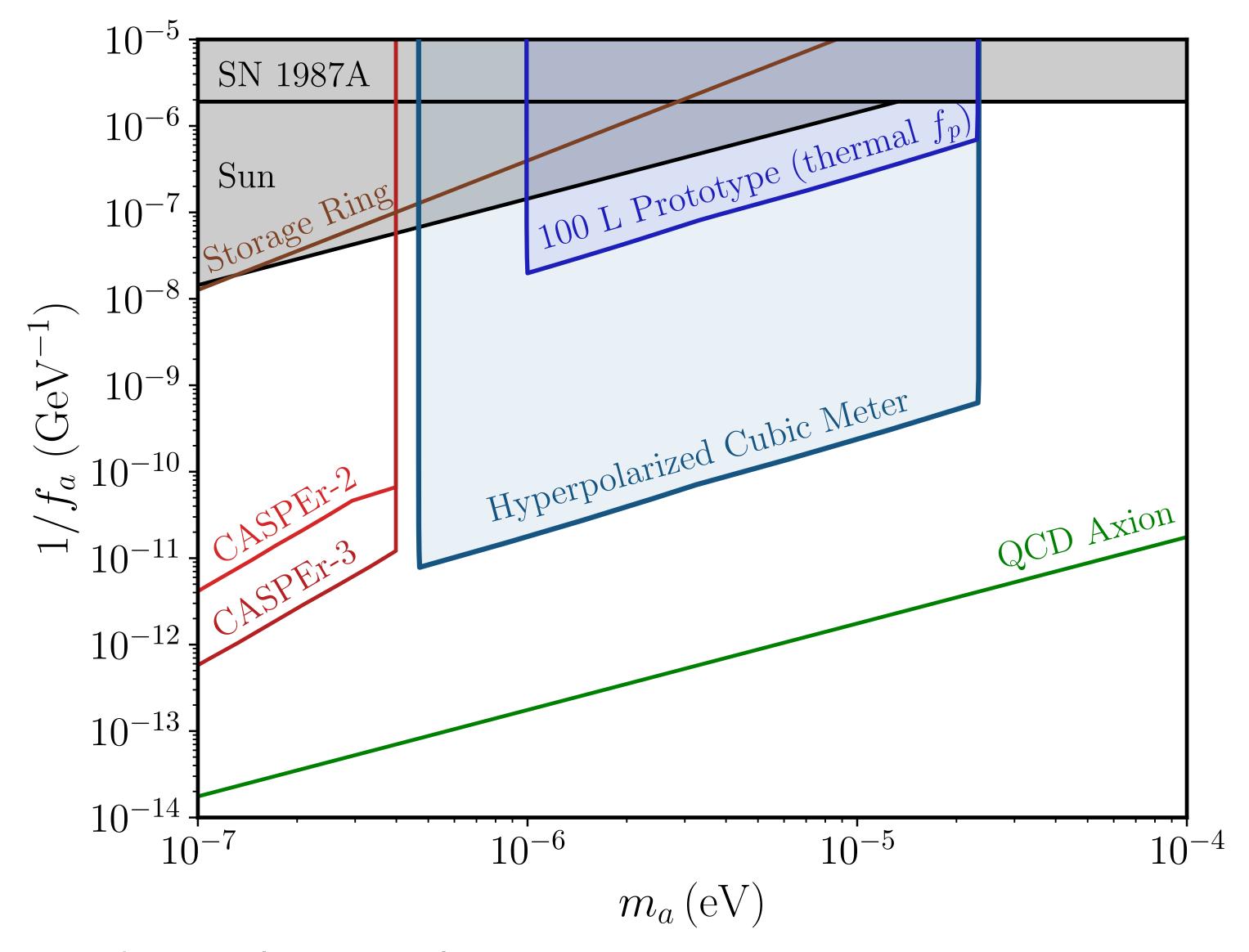
Polarization haloscope naturally targets these frequencies

Reach is easy to estimate: thermal and (quantum limited) amplifier noise dominate



Modified existing haloscope can probe new parameter space!

$$(Q, V, f_p, T) = 10^5, 0.1 \,\mathrm{m}^3, 5\%, 40 \,\mathrm{mK}$$

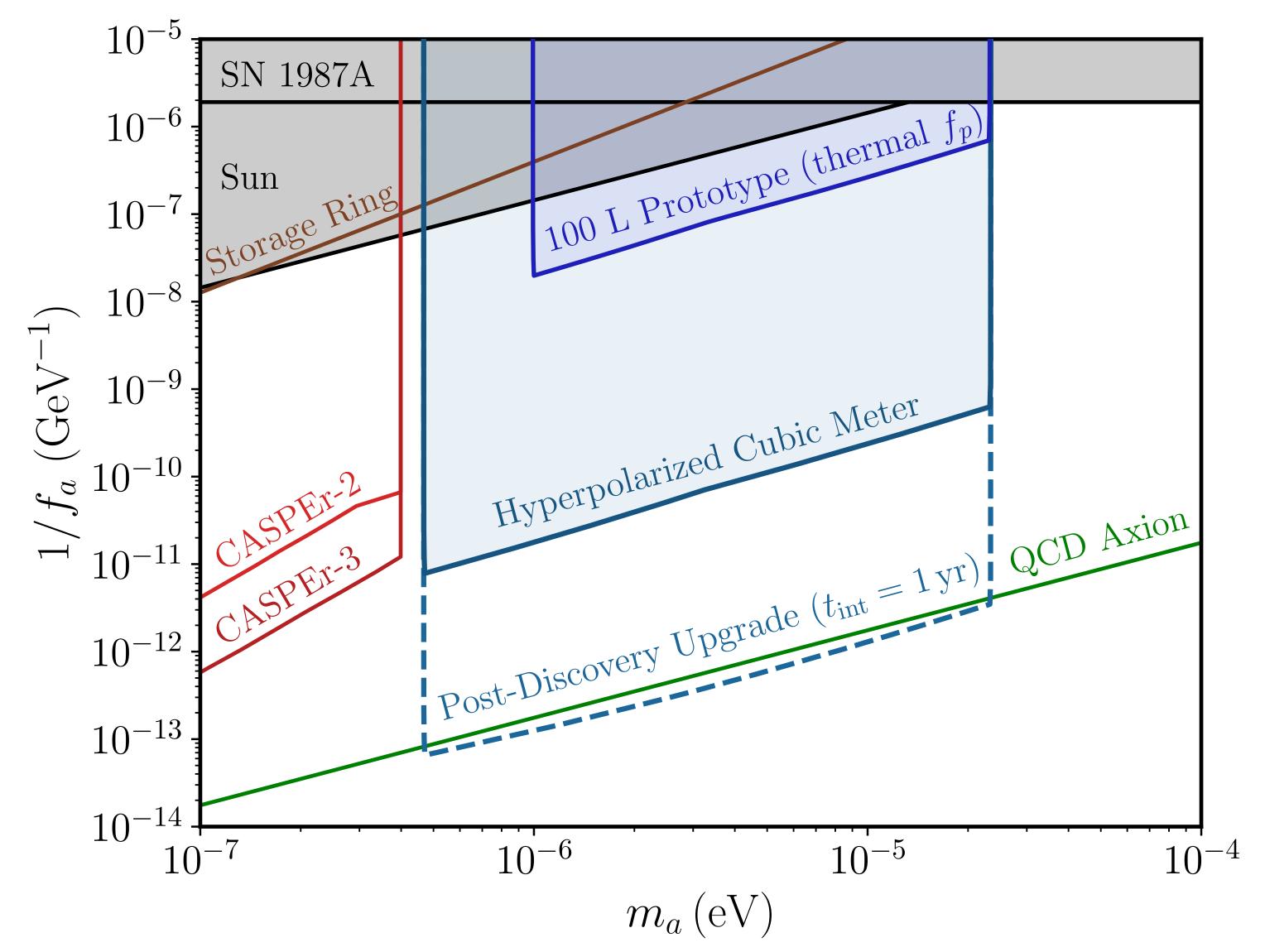


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Hyperpolarized sample probes orders of magnitude further

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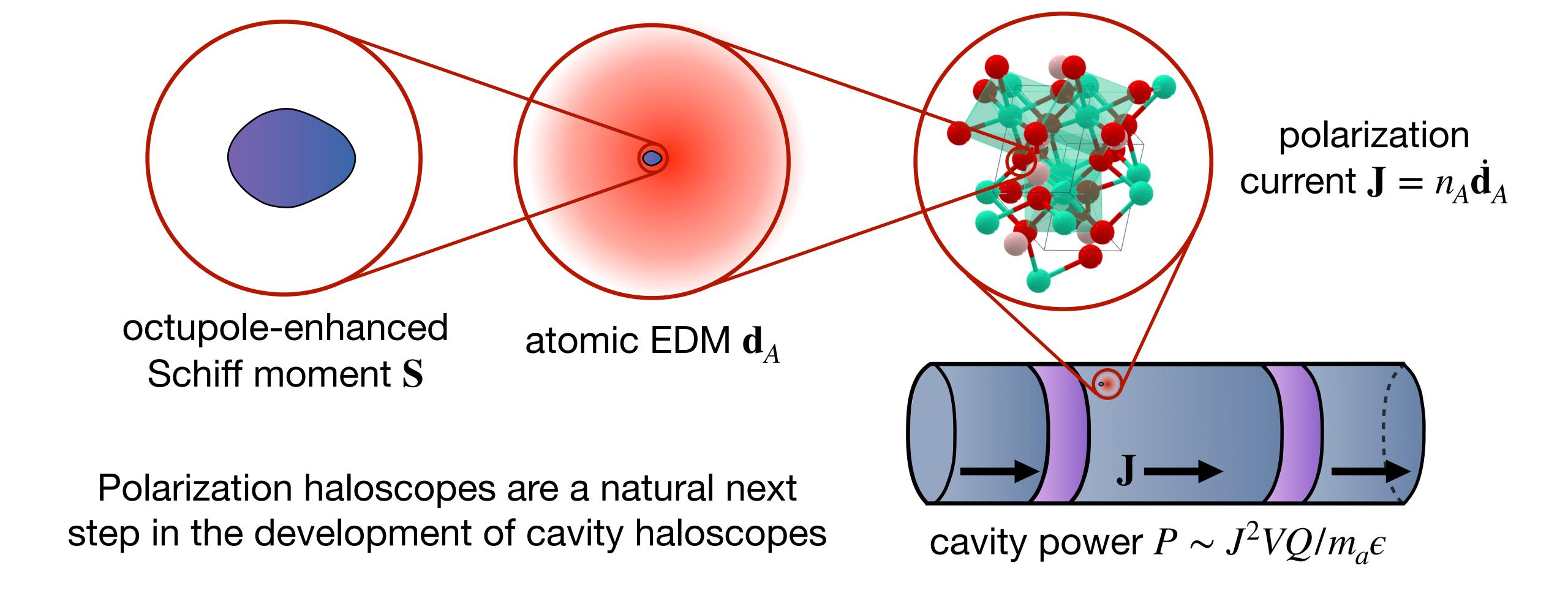
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Further upgrade can test candidate  $\mu eV$  QCD axion

$$(Q, V, f_p, T) = 10^8, 1 \,\mathrm{m}^3, 100 \,\%, 10 \,\mathrm{mK}$$
 (non-scanning)



In near term, motivates investigation of axion-induced EDMs and appropriate materials

In long term, only way to test if an axion is the QCD axion