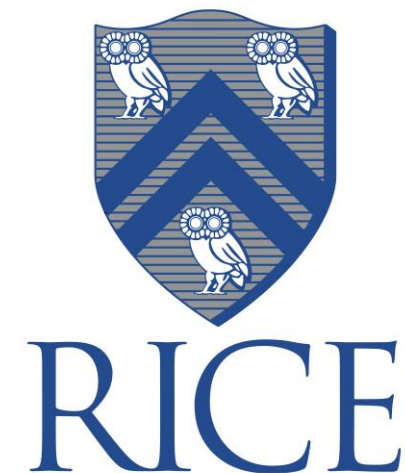
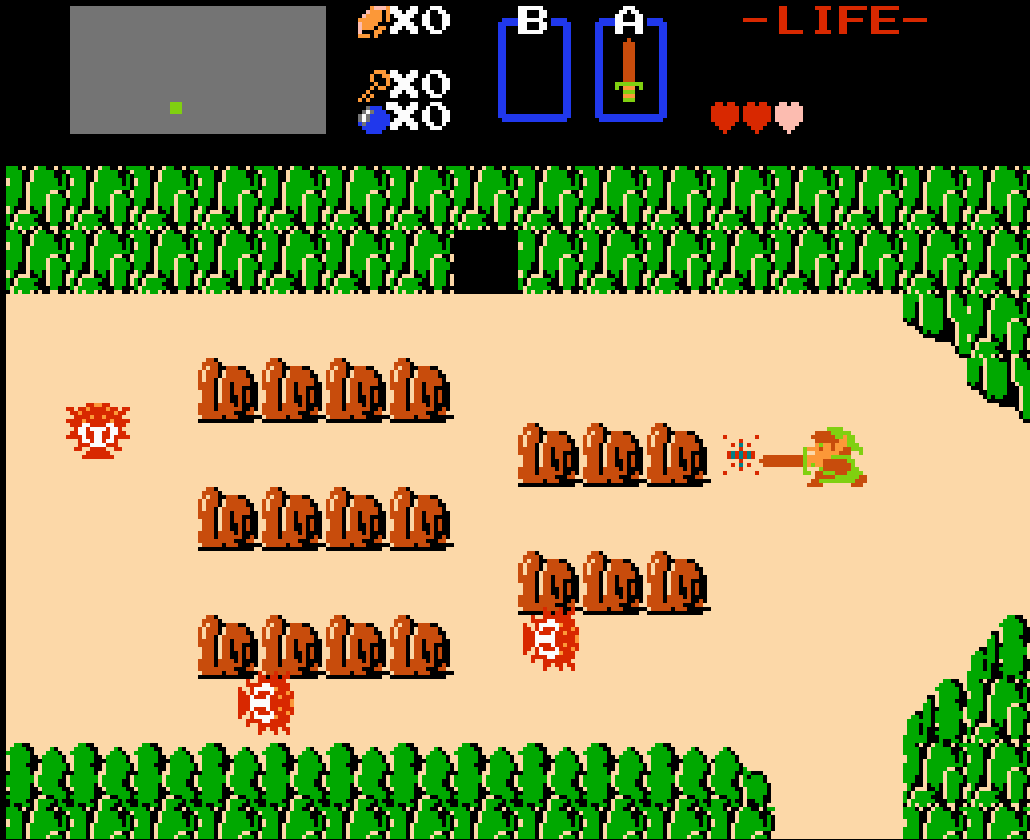


astrophysical
and
cosmological probes
of
axion-like particles
and
dark photons



Andrew Long
Rice University

*@ Phenomenology
2023 Symposium
May 9, 2023*



“explore the dungeon”
“discover the treasure”

How will we discover new physics?

What dungeons must we
explore to find this treasure?

adventuring gear

a map



the maps contains clues ...
the treasure is out there somewhere, we
just don't know how to reach it

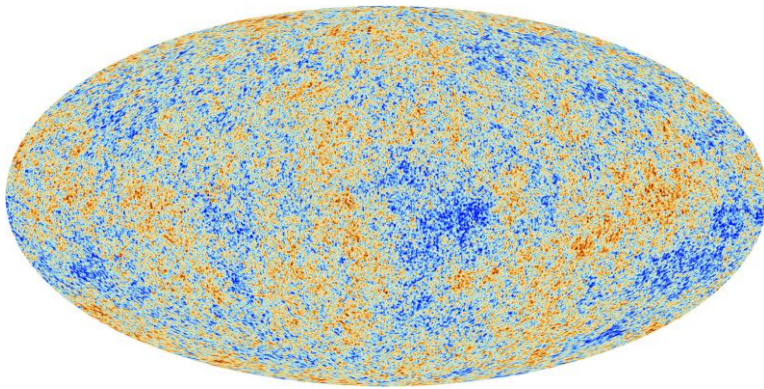
a compass



the compass guides our path ...
it points the shortest way
to reach the treasure

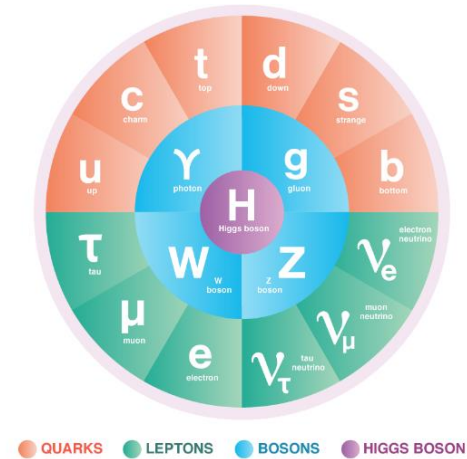
adventuring gear

a map



the maps contains clues ...
data reveals the presence of new physics, but a
full understanding is still out of reach

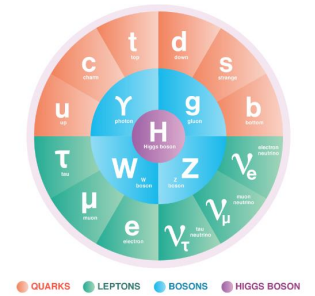
a compass



the compass guides our path ...
the success of existing theory furnishes
organizing principles and points a
way forward



Symmetry & symmetry breaking determine the structure of the Standard Model including the properties and interactions of its particles



Let symmetry guide our search for new physics!

Standard Model



chiral symmetry breaking



light pions



light axion-like particles



BSM theory



Standard Model



electroweak symmetry breaking



massive W/Z bosons



massive hidden/dark photons



BSM theory

light axion-like particles

- (1) Axion-enhanced X-rays from compact stars
- (2) Radio emission from axion clumps
- (3) CMB birefringence from axion strings

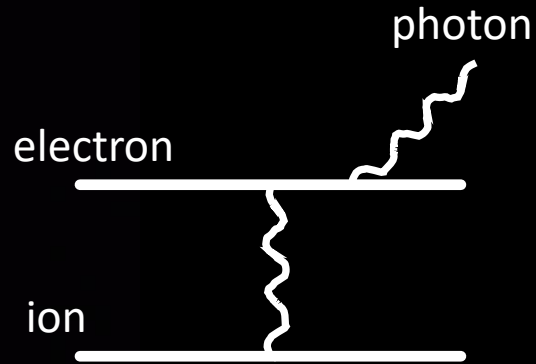
light hidden/dark photons

- (4) Producing dark photon dark matter
- (5) Radio bursts from dark photon stars

(1) Axion-enhanced X-rays from compact stars

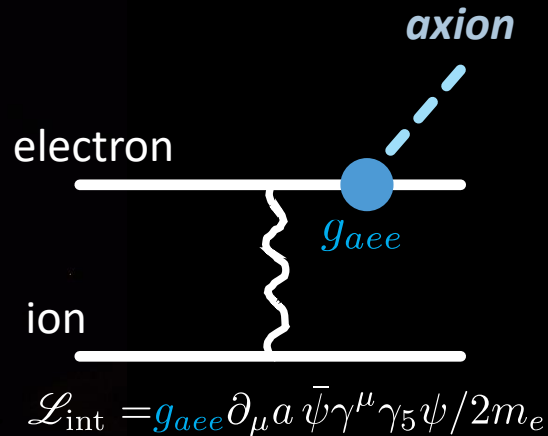


Where do axions come from?



$$P = A\sigma T^4 \approx (5 \text{ Watt}) \left(\frac{A}{1 \text{ cm}^2} \right) \left(\frac{T}{10^3 \text{ K}} \right)^4$$

$$\Rightarrow \sim 10^{19} \text{ photons per second}$$



$$P = \frac{g_{aee}^2}{e^2} A\sigma T^4 \approx (10^{-25} \text{ Watt}) \left(\frac{g_{aee}}{10^{-13}} \right)^2$$

$$\Rightarrow \sim 10^{-6} \text{ axions per second}$$

not a lot of axions!

Where can we find a stronger source of ALPs?

[Krauss, Moody, & Wilczek (1984)] [Raffelt (1986)]
 [Nakagawa, Adachi, Kohyama, & Itoh (1987,88)]

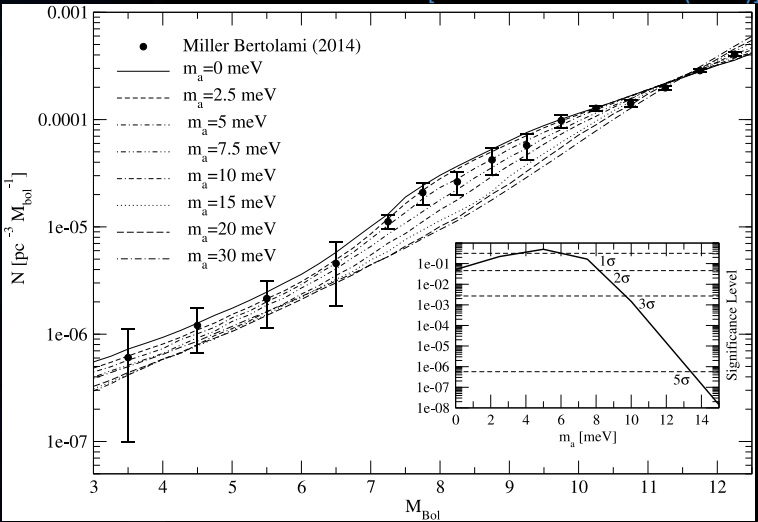
axion luminosity (for white dwarf stars)

$$L_a \simeq (1.6 \times 10^{-4} L_\odot) \left(\frac{g_{aee}}{10^{-13}}\right)^2 \left(\frac{M_{\text{WD}}}{1 M_\odot}\right) \left(\frac{T_c}{10^7 \text{ K}}\right)^4$$

axion

constraints

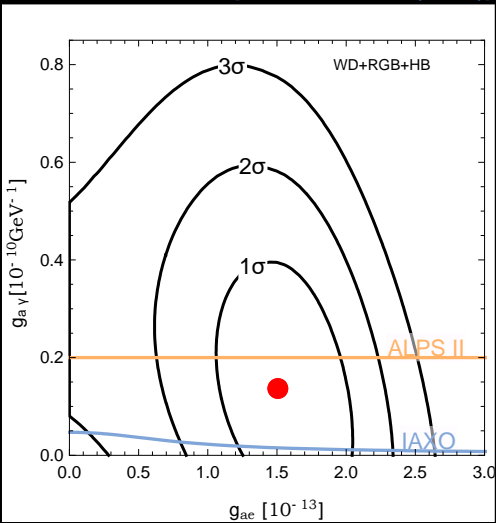
[Miller Bertolami et. al. (2014)]



$$g_{aee} < 3 \times 10^{-13} \quad (3\sigma)$$

hints

[Giannotti et. al. (2017)]



$$g_{aee} \neq 0 \quad (\sim 2\sigma)$$

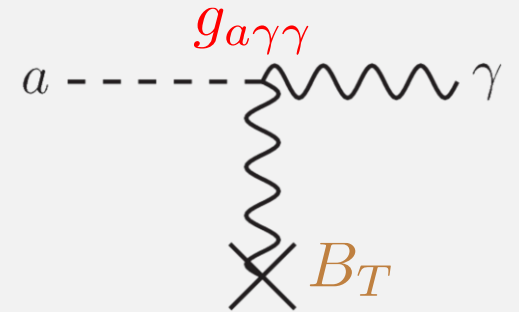
How to test that ALPs cause cooling?

axion

$$\Gamma \approx (10^{-19} \text{ photons/sec}) \left(\frac{g_{aee}}{10^{-13}} \right)^2 \left(\frac{g_{a\gamma\gamma}}{10^{-11} \text{ GeV}} \right)^2 \\ \times \left(\frac{B_T}{5 \text{ T}} \right)^2 \left(\frac{L}{100 \text{ cm}} \right)^2 \left(\frac{d_{\text{WD}}}{10 \text{ pc}} \right)^{-2}$$

we can't wait till the axions reach Earth!

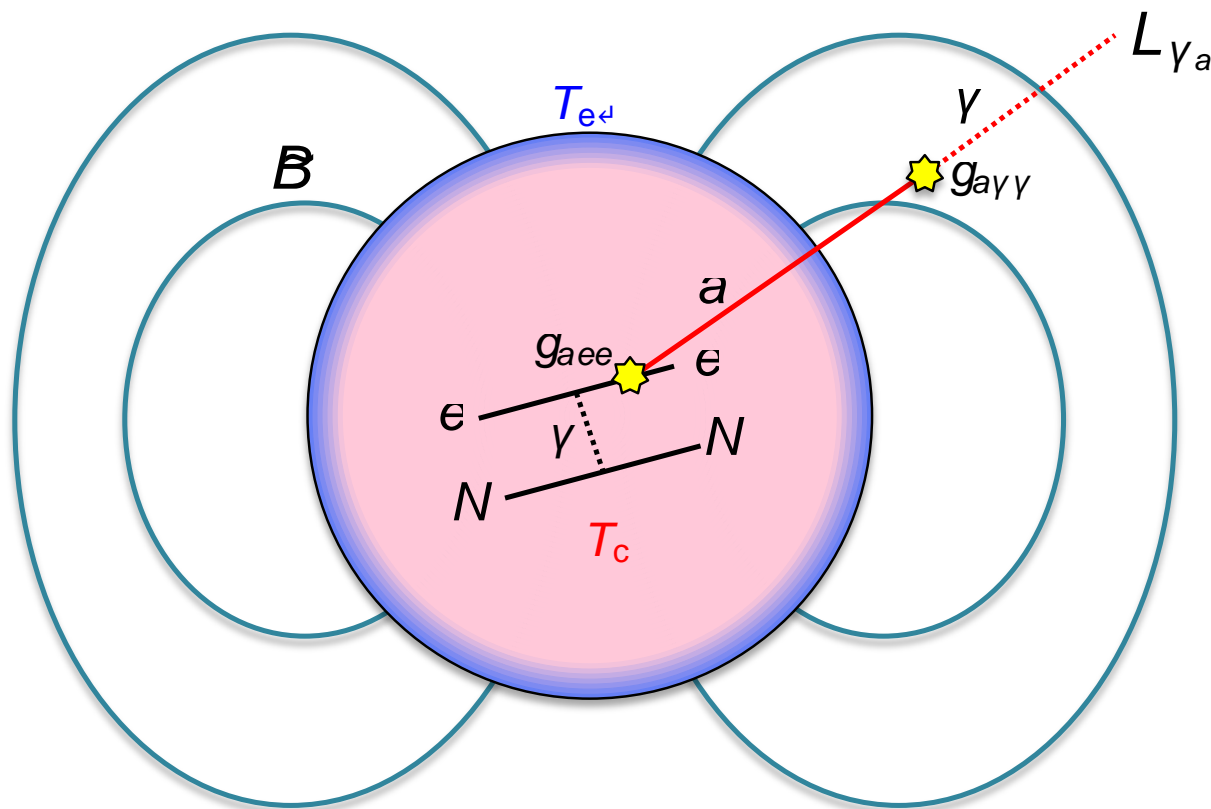
$$\mathcal{L}_{\text{int}} = -\frac{1}{4} g_{a\gamma\gamma} a F \tilde{F}$$



$$p_{a \rightarrow \gamma} \approx g_{a\gamma\gamma}^2 B_T^2 L^2 / 4$$

Axion-photon conversion at the star

[D. E. Morris (1986)] [Raffelt & Stodolsky (1987)]
[Gill & Heyl (2011)] [Fortin & Sinha (2018)]



Strong magnetic field:

- Neutron stars (magnetars): $\sim 10^{12} - 10^{15}$ G
- Magnetic white dwarfs: $\sim 10^6 - 10^9$ G

Filling large volume:

- Neutron stars (magnetars): ~ 10 km
- Magnetic white dwarfs: $\sim 0.01 R_{\text{sun}}$

Hot plasma radiates axions:

- Core temperature: 10^7 K \sim few keV

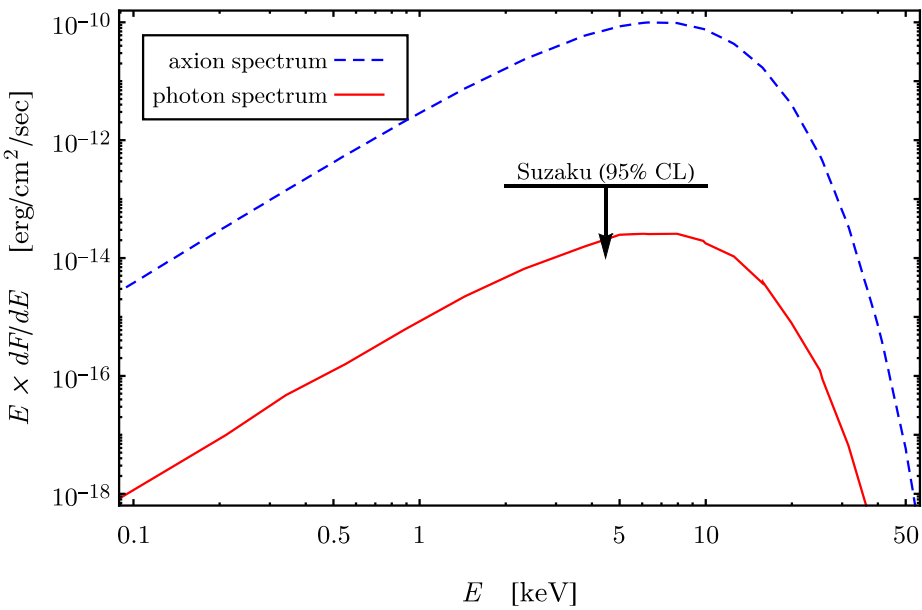
$$E_a = T_{\text{core}} = E_\gamma = \text{X-ray}$$

signal = thermal X-ray emission ($T_{\text{core}} \sim 10^7$ K \sim keV)
background = surface emission negligible ($T_{\text{surface}} \sim 10^4$ K)

Expected X-ray signal from MWDs

[Dessert, AL, Safdi, arXiv:1903.04088]

quasi-thermal spectrum



$g_{aee} = 10^{-13}$
 $g_{a\gamma\gamma} = 10^{-11} \text{ GeV}^{-1}$
 $M_{\text{WD}} = 1.32 M_{\odot}$
 $d_{\text{WD}} = 29.54 \text{ pc}$
 $T_c = 2 \times 10^7 \text{ K}$
 $= 1.7 \text{ keV}$

rising through 1-10 keV where backgrounds
are falling

top 10 MWD candidates

	$M_{\text{WD}} [M_{\odot}]$	$R_{\text{WD}} [R_{\odot}]$	$L_{\gamma} [L_{\odot}]$	$T_{\text{eff}} [\text{K}]$	$B [\text{MG}]$	$d_{\text{WD}} [\text{pc}]$	$F_{2-10} [\text{erg}/\text{cm}^2/\text{s}]$
RE J0317-853	1.32	0.00405	0.0120	30000	200	29.54	6.8×10^{-14}
WD 2010+310	1*	0.00643*	0.00566	19750	520	30.77	4.4×10^{-14}
WD 0041-102 (Feige 7)	1.05	0.00756	0.00635	18750	35	31.09	3.0×10^{-14}
WD 1031+234	0.937	0.00872	0.0109	20000	200	64.09	2.3×10^{-14}
WD 1533-057	0.717	0.0114	0.0121	18000	31	68.96	1.3×10^{-14}
WD 1017+367	0.730	0.0111	0.0082	16500	65	79.24	7.1×10^{-15}
WD 1043-050	1.02	0.00787	0.00388	16250	820	83.33	5.4×10^{-15}
WD 1211-171	1.06	0.00754	0.00992	21000	50	92.61	5.4×10^{-15}
SDSS 131508.97+093713.87	0.848	0.00968	0.01347	20000	14	101.7	3.5×10^{-15}
WD 1743-520	1.13	0.00681	0.00184	14500	36	38.93	2.9×10^{-15}

1000's of known WDs (Gaia), but only 100's have
B-field measurements



rank by
expected X-
ray flux

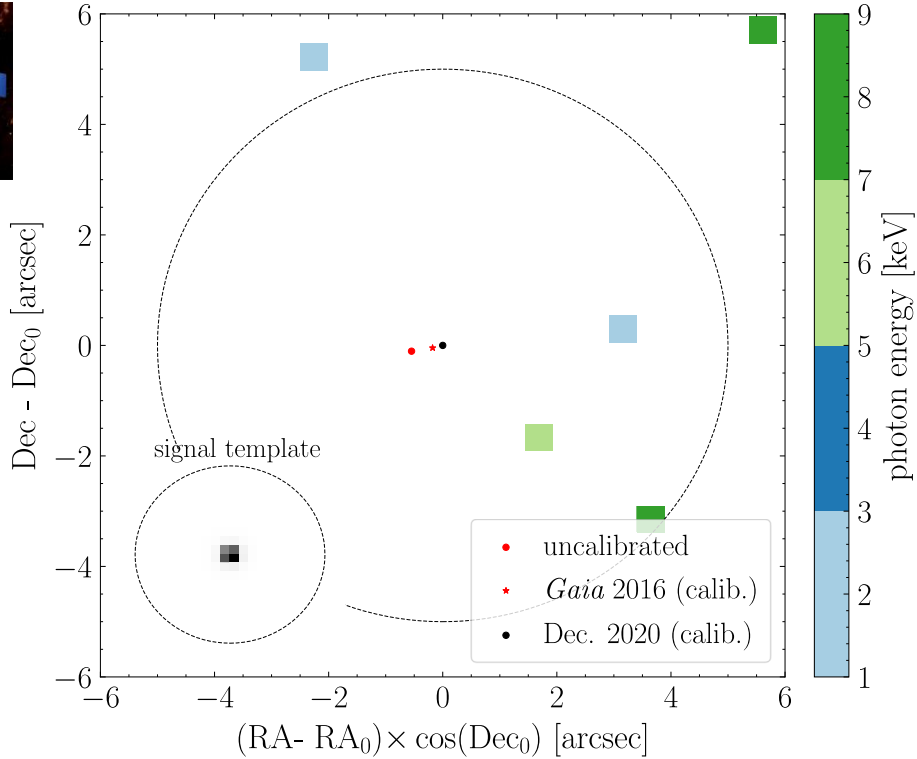
(for $m_a = 10^{-9} \text{ eV}$ and $|g_{aee} g_{a\gamma\gamma}| = 10^{-24} \text{ GeV}^{-1}$)

What do we learn from Chandra observations?

[Dessert, AL, Safdi, arXiv:2104.12772]

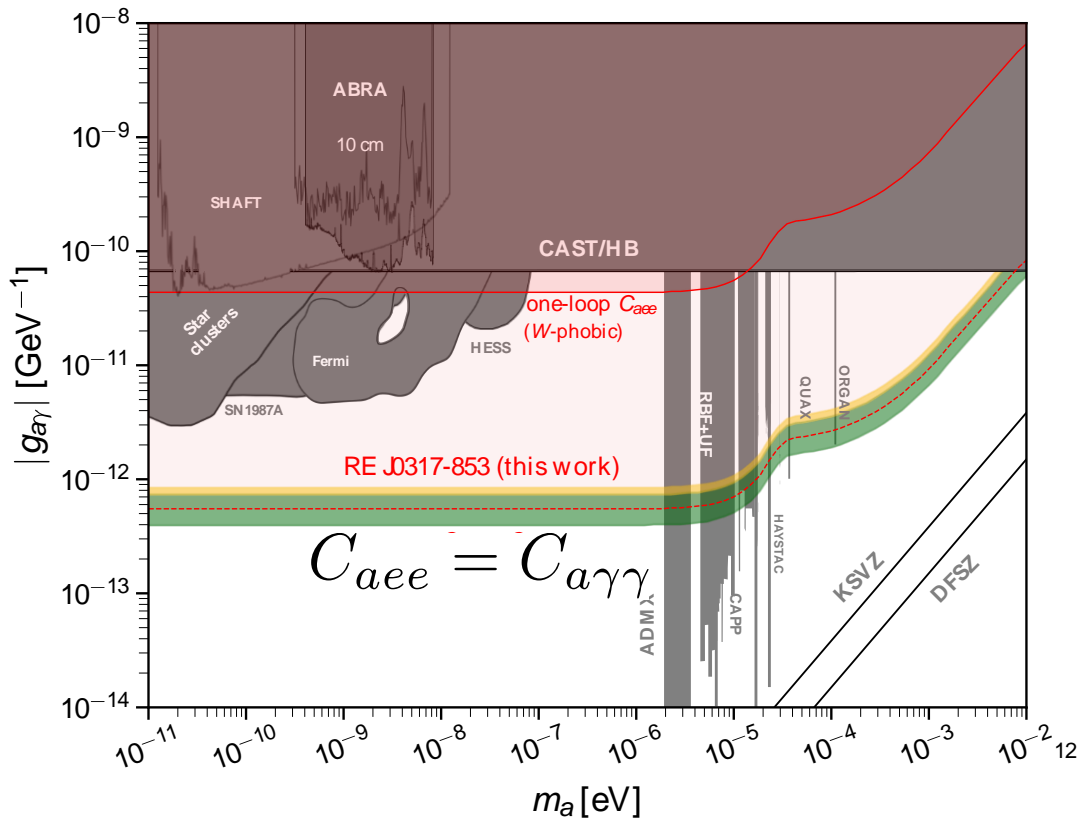
Chandra observation

- ➔ 37.42 ks (~10 hr) of data, Dec 18, 2020
- ➔ No photon counts observed near source



Constraints on axion emission / X-ray conversion

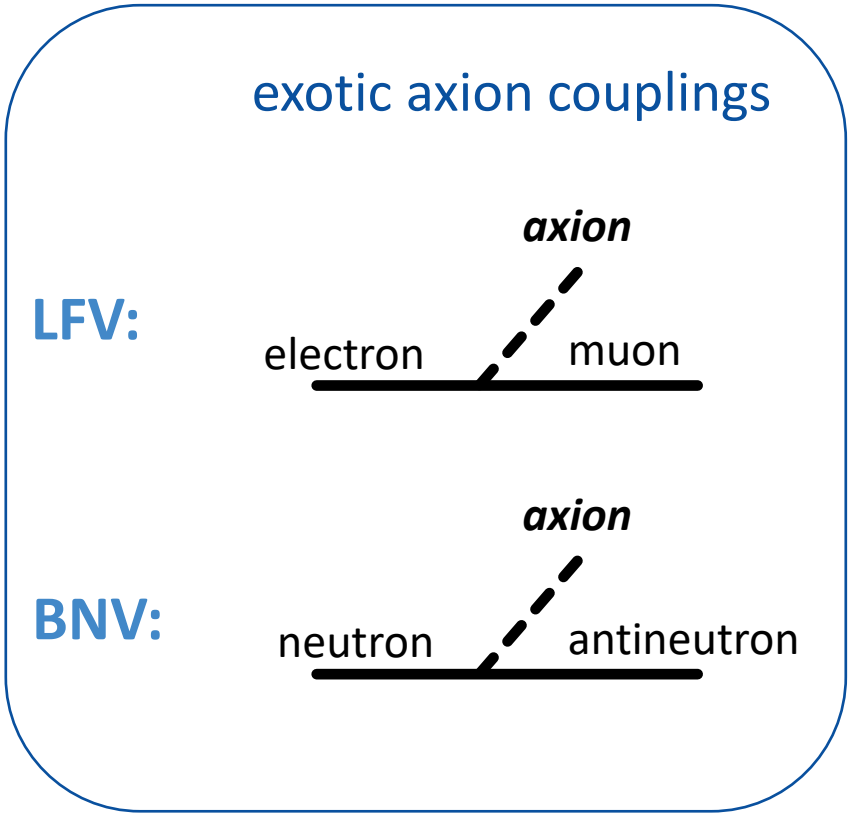
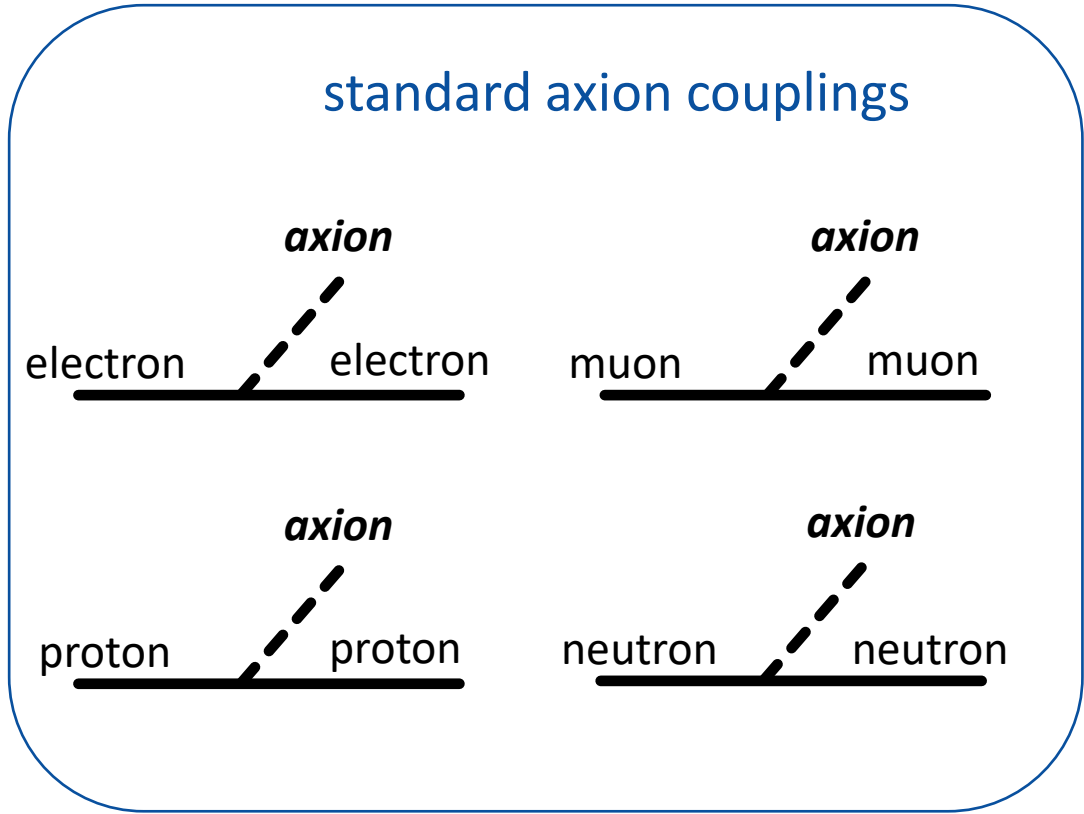
- ➔ Upper limit on product of couplings $g_{aee} * g_{a\gamma\gamma}$
- ➔ Can be recast as a limit in $g_{a\gamma\gamma}$ alone



ALP emission from exotic couplings (ongoing work)



Hong-Yi Zhang
(Rice U grad)

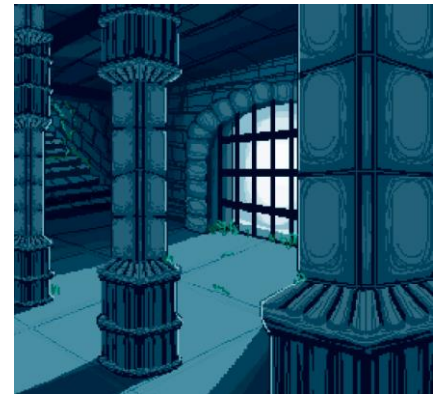


astro implications:

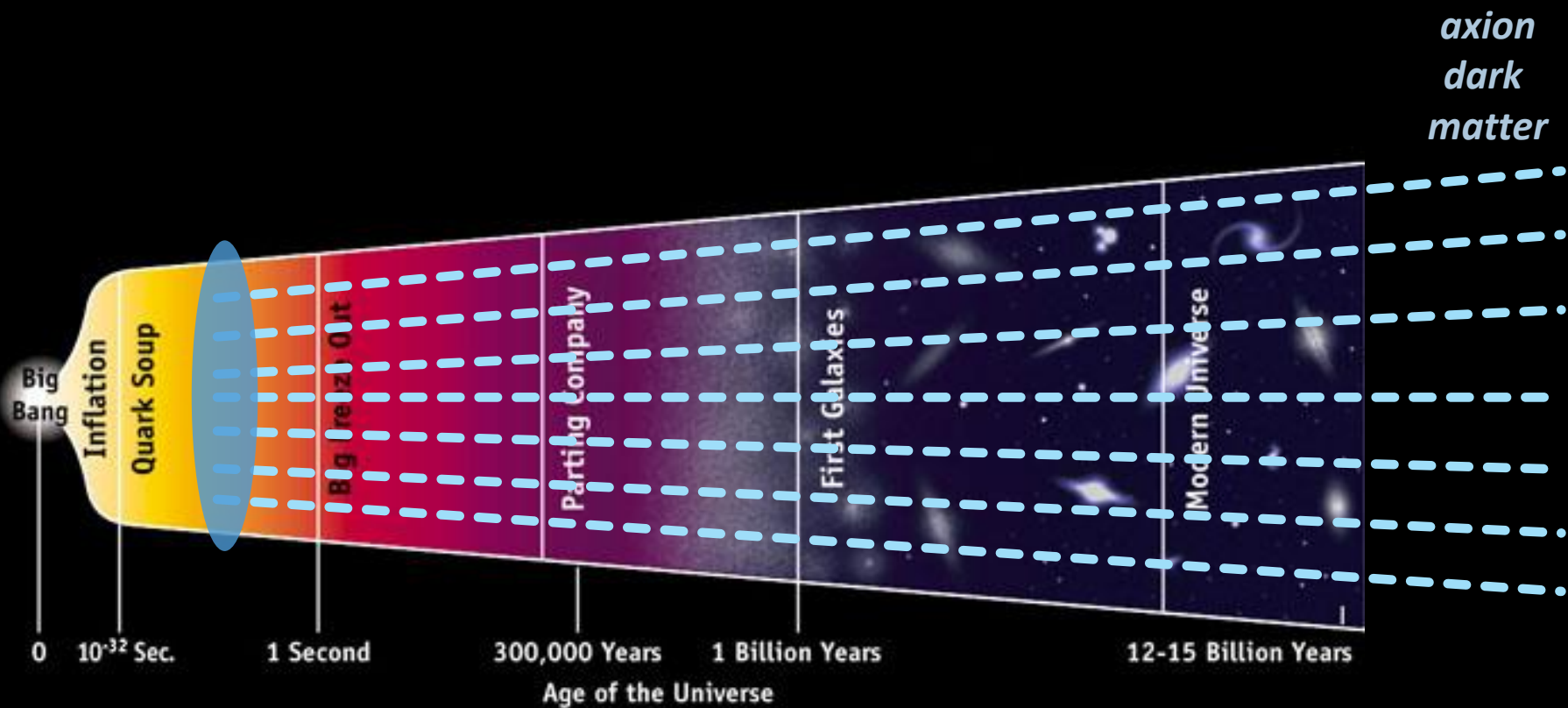
- axion emission off of muons in a neutron star
- baryon-destruction in a neutron star & heating
- connections with lab probes of axion LFV & BNV interactions

$$\mathcal{L}_{\text{int}} = g_{a\psi\psi} \partial_\mu a \bar{\psi} \gamma^\mu \gamma_5 \psi / 2m_\psi$$

(2) Radio emission from axion clumps



Axion-like particles as dark matter



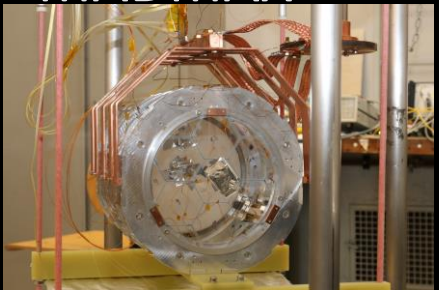
ADMX



Abra

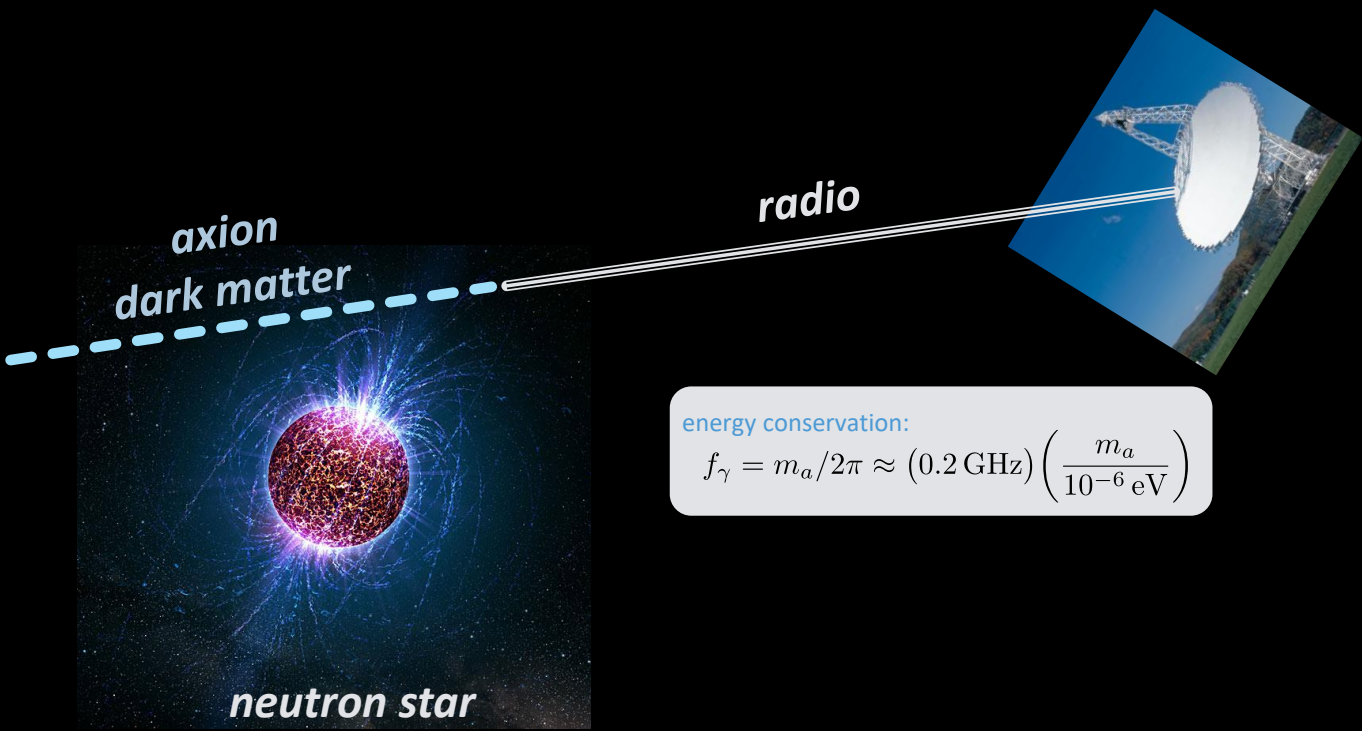


MADMAX

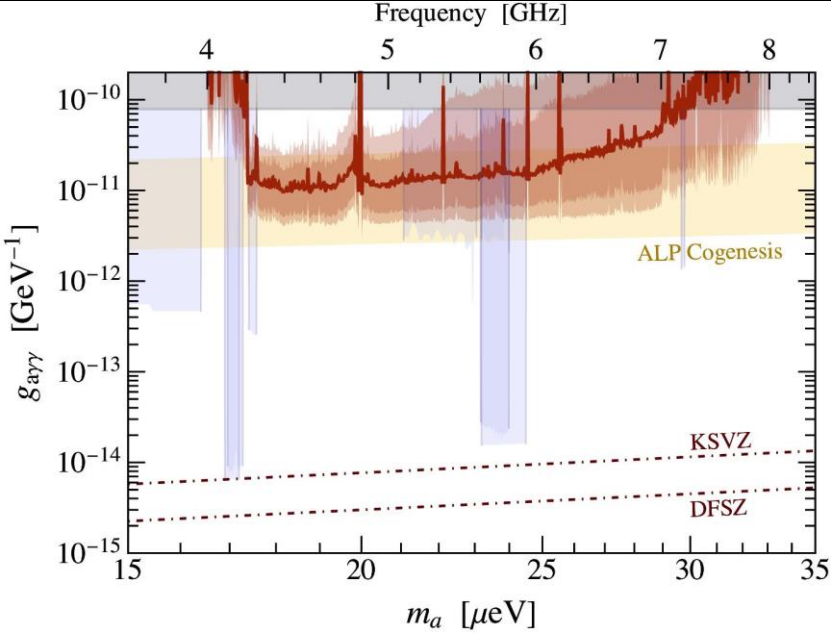


Conversion in neutron star magnetospheres

[Hook, Kahn, Safdi, Sun (2018)], [Safdi, Sun, Chen (2018)], [Foster et al (2022)]



constraints derived from an analysis of archival Greenbank Telescope data

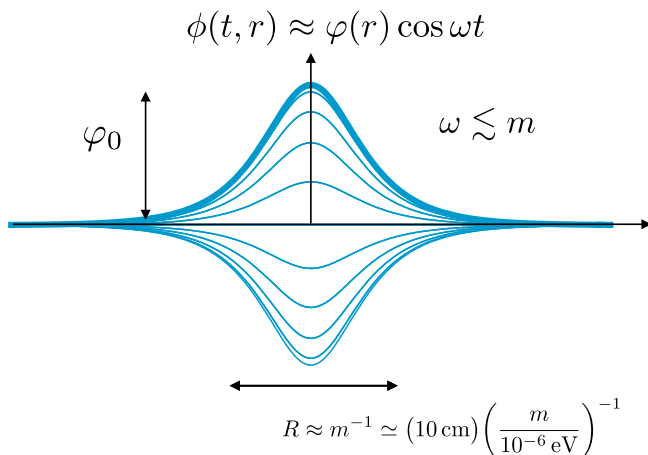


What if the axion DM is clumped up?

[Amin, AL, Mou, Saffin, arXiv:2103.12082]

dense axion star:

a coherent “clump” of axion dark matter



coupling to electromagnetism:

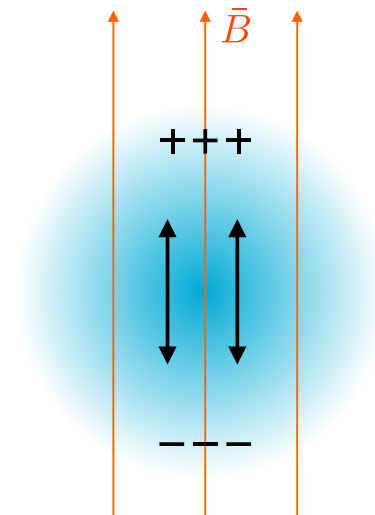
new terms in Maxwell’s equations

$$\mathcal{L}_{\text{int}} = -\frac{1}{4} g_{a\gamma} \phi F \tilde{F} \quad \left\{ \begin{array}{l} \ddot{\phi} - \nabla^2 \phi + \partial_\phi V = g_{a\gamma} \mathbf{E} \cdot \mathbf{B}, \\ \dot{\mathbf{E}} = \nabla \times \mathbf{B} - g_{a\gamma} \left(\dot{\phi} \mathbf{B} + \nabla \phi \times \mathbf{E} \right), \\ \dot{\mathbf{B}} = -\nabla \times \mathbf{E}, \\ \nabla \cdot \mathbf{E} = -g_{a\gamma} \nabla \phi \cdot \mathbf{B}, \\ \nabla \cdot \mathbf{B} = 0. \end{array} \right.$$

effective current density

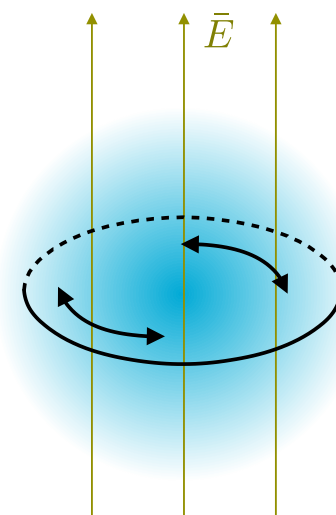
effective charge density

background
magnetic field



induced
electric dipole

background
electric field



induced
magnetic dipole

a source of EM radiation!

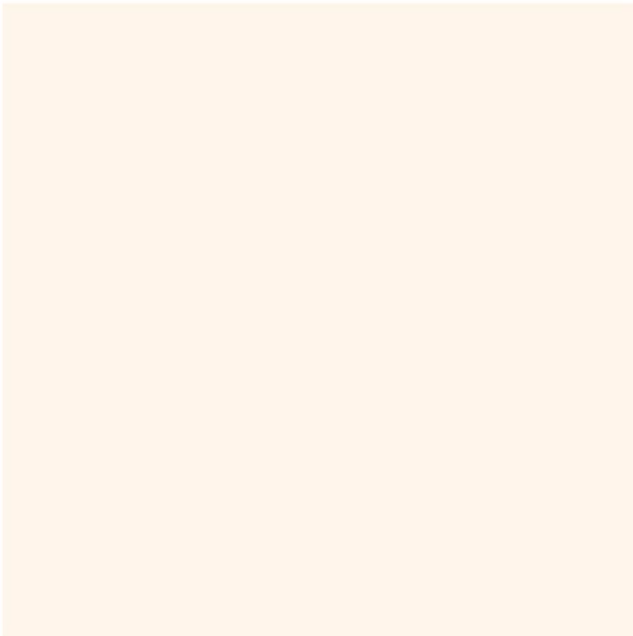
EM radiation from an axion clump

[Amin, AL, Mou, Saffin, arXiv:2103.12082]



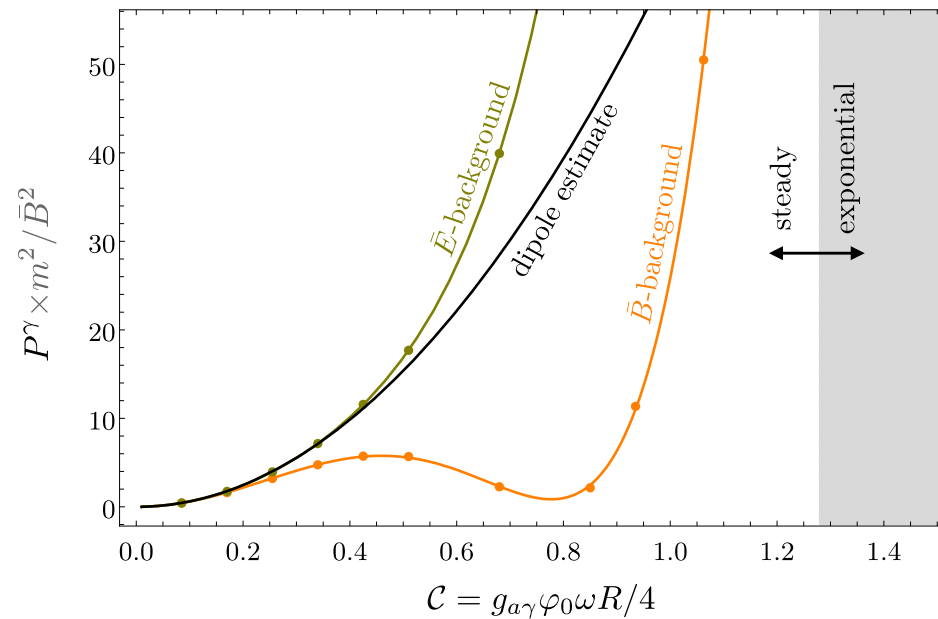
Zong-Gang Mou
(Rice U postdoc)

lattice simulation:
radiation from clump in external B/E fields



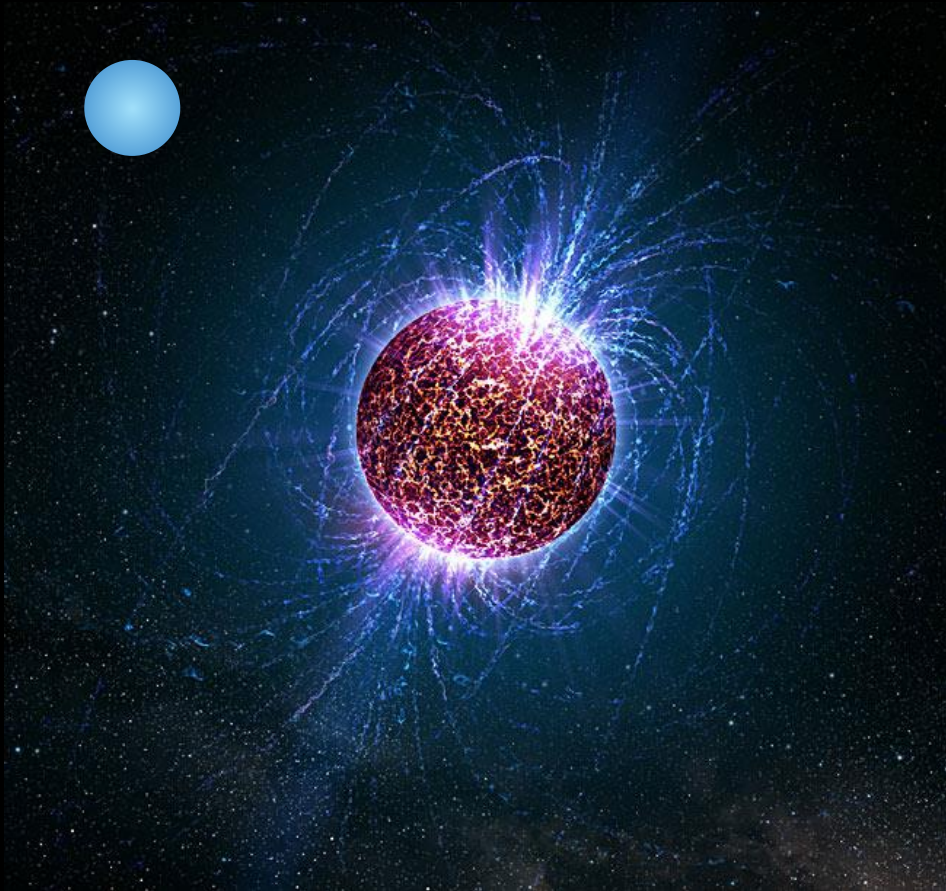
shading shows intensity of EM field

EM power radiated:
departure from dipole approx. at larger coupling



$$P_{\text{dipole}} = \frac{g_{a\gamma}^2 \omega^4 \tilde{\varphi}^2(\omega)}{12\pi} (|\bar{\mathbf{B}}|^2 + |\bar{\mathbf{E}}|^2)$$

Connection with astrophysics



Astrophysical implications worth exploring more closely:

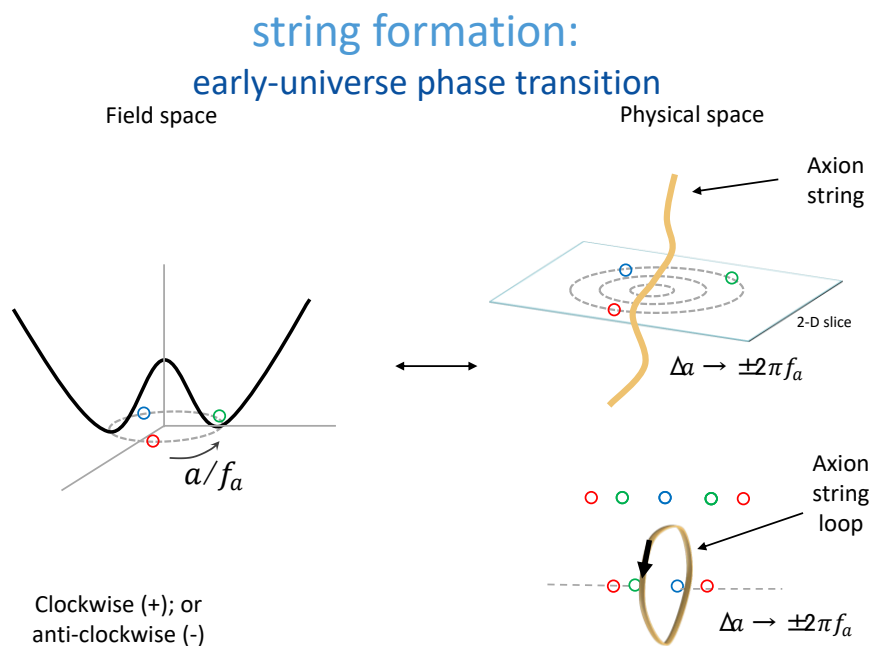
- Radio bursts from NS encounters
- Transient rather than stochastic
- NS environment contains plasma allowing for resonant conversion (not considered here)
- Robust rate estimates require careful population modeling

(3) CMB birefringence from axion strings



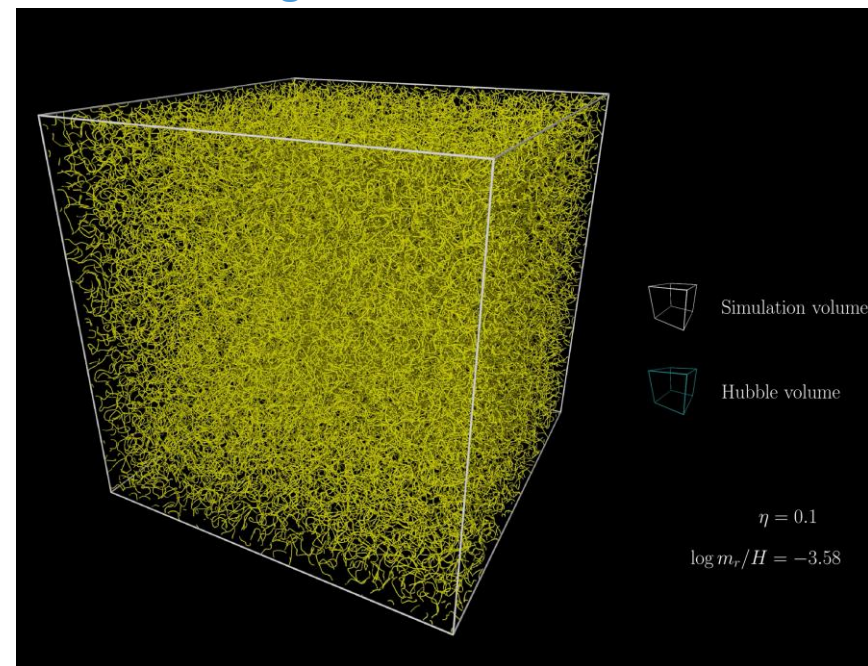
How do axions make strings?

[Buschmann et. al. (2022)]



[graphic thanks to Mudit Jain (2021)]

string network simulation:



- string network is in scaling
- new loops are formed from reconnection
- loops emit axions and collapse
- typical string length tracks Hubble
- average energy density tracks Hubble

How can we detect axion strings in the Universe today?

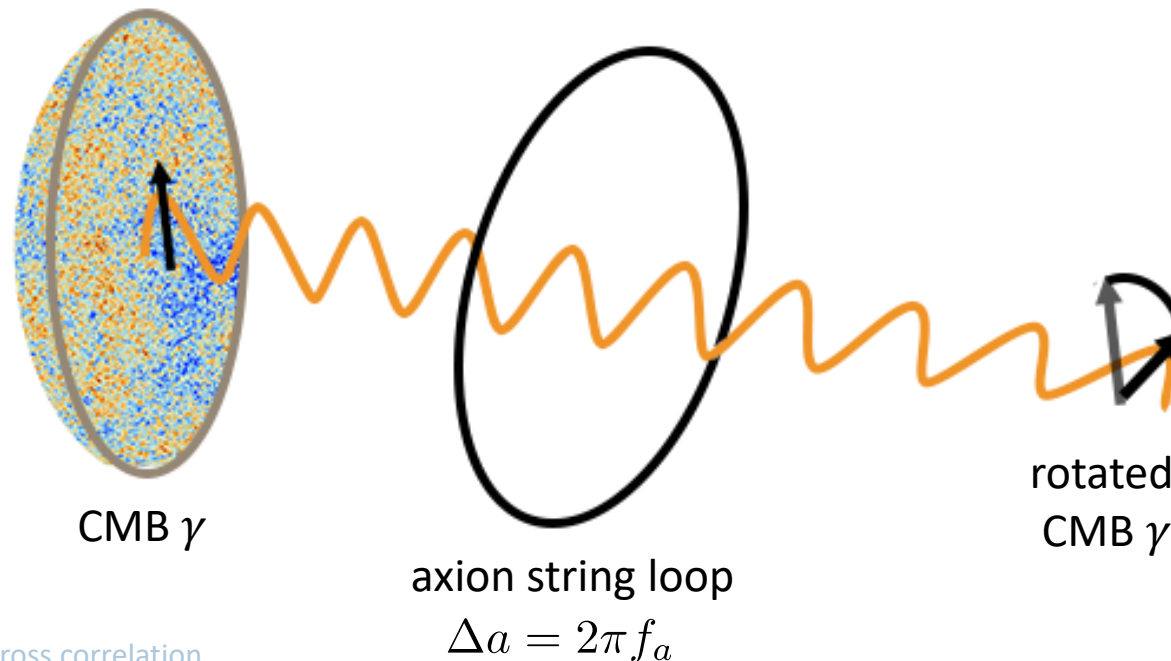
How could we detect an axion string?

[Carroll, Field, Jackiw (1990,91)], [Harari, Sikivie (1992)]
[Fedderke, Graham, Rajendran (2019)], [Agrawal, Hook, Huang (2019)]
[Yin, Dai, Ferraro (2021) & (2023)]

assume interaction
with electromagnetism:
standard Chern-Simons coupling

$$\mathcal{L}_{\text{int}} = -\frac{1}{4} g_{a\gamma\gamma} a F \tilde{F}$$

axion-induced birefringence:
an electromagnetic wave
traveling through a varying axion field
has its plane of polarization rotated



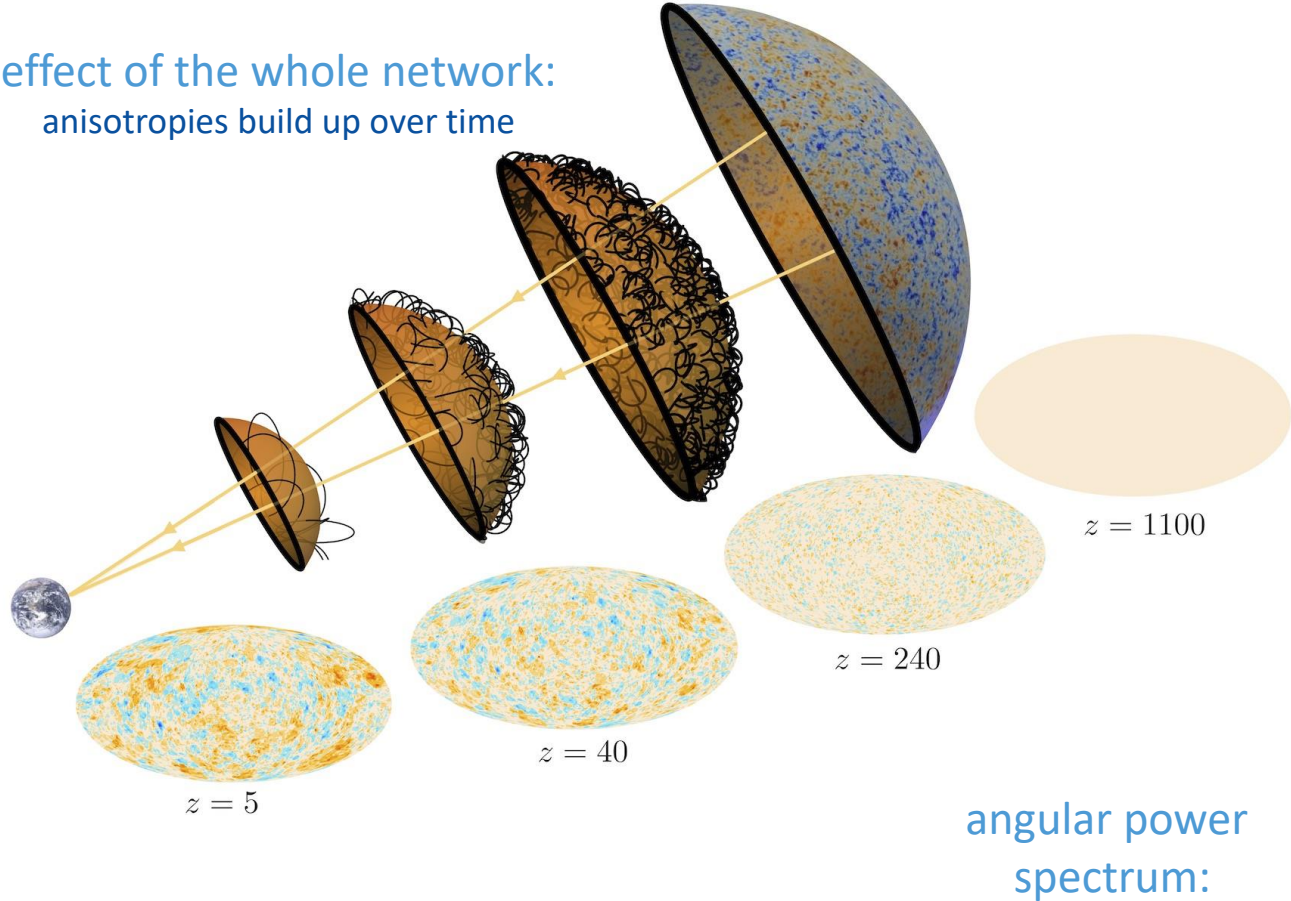
rotation angle

$$\begin{aligned}\alpha &= g_{a\gamma\gamma} \pi f_a \\ &\equiv \mathcal{A} \alpha_{\text{em}} \\ &\approx 0.42^\circ \mathcal{A}\end{aligned}$$

* birefringence can be measured through E-B cross correlation

Birefringence signal & measurement

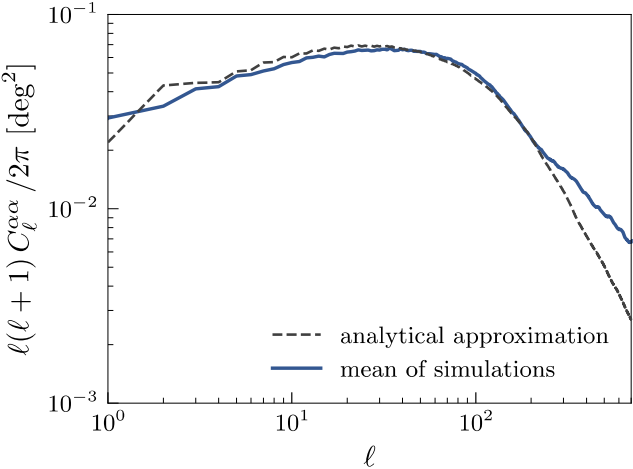
[Jain, AL, Amin, arXiv:2103.10962]
[Jain, Hagimoto, AL, Amin, arXiv:2208.08391]



Ray
Hagimoto
(Rice U grad)



Mudit Jain
(Rice U postdoc)



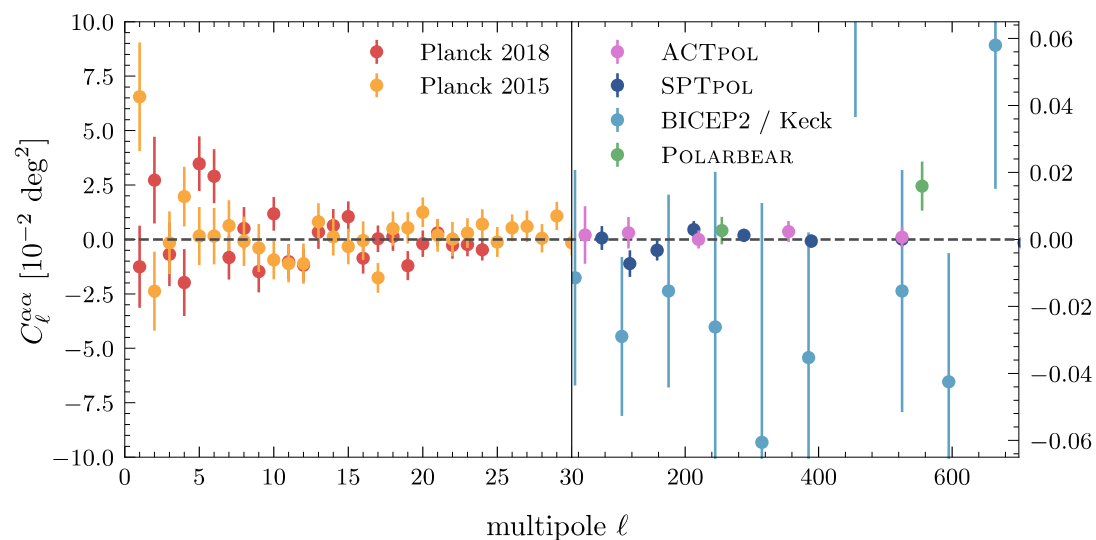
* need $m_a \lesssim 3H_{\text{cmb}} \approx 10^{-28}$ eV for the network to survive until after recombination

Constraints on axion string networks

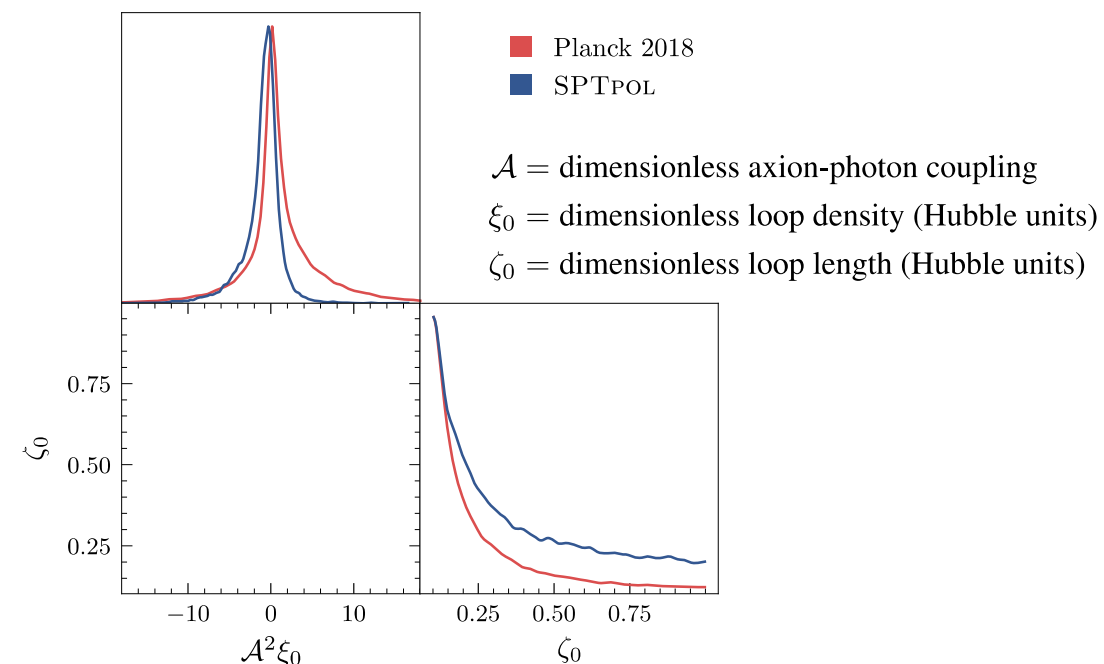
[Jain, AL, Amin, arXiv:2103.10962]

[Jain, Hagimoto, AL, Amin, arXiv:2208.08391]

measurements of CMB polarization:
no evidence for anisotropic birefringence



a constraint on axion strings networks
& their coupling to electromagnetism:



meaningful constraints:
SPTPOL: $\mathcal{A}^2 \xi_0 < 3.7$ at 95% CL

Incompatibility with isotropic birefringence

[Jain, AL, Amin, arXiv:2103.10962]

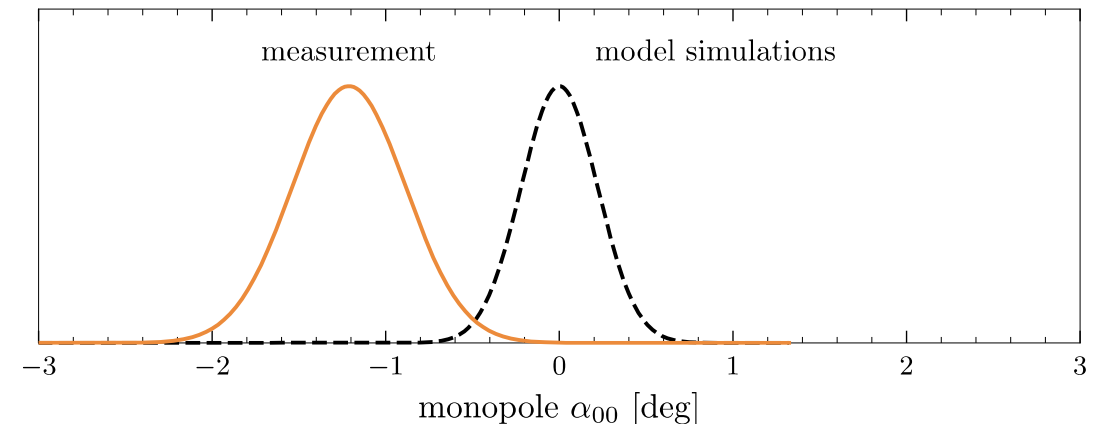
[Jain, Hagimoto, AL, Amin, arXiv:2208.08391]

claimed detection of isotropic birefringence:
same rotation angle across the whole sky
(using *Planck* & *WMAP* data)

$$\alpha_{00} = -1.21^{\circ} {}^{+0.33^{\circ}}_{-0.32^{\circ}} \text{ (68\% CL)}$$

[Minami & Komatsu (2020)]
[Diego-Palazuelos et. al. (2022)]
[Eskilt (2022)]
[Eskilt & Komatsu (2022)]

the isotropic signal is strongly in tension with limits on
anisotropic BF if they both arise from axion-string induced
birefringence



Birefringence non-Gaussianity (ongoing work)

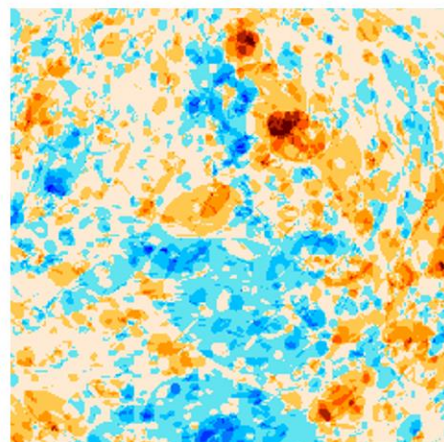
we're working to quantify the non-Gaussianity and develop tests to extract these features from the data



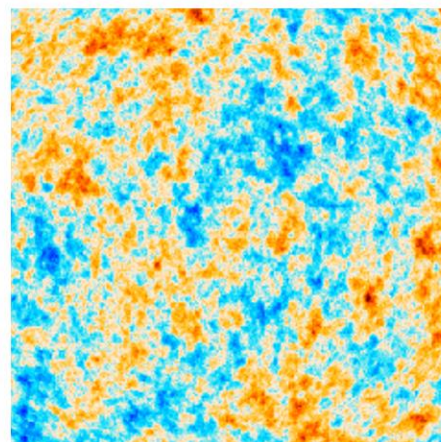
Ray
Hagimoto
(Rice U grad)

axion-string induced birefringence:
loop-like features are visibly non-Gaussian

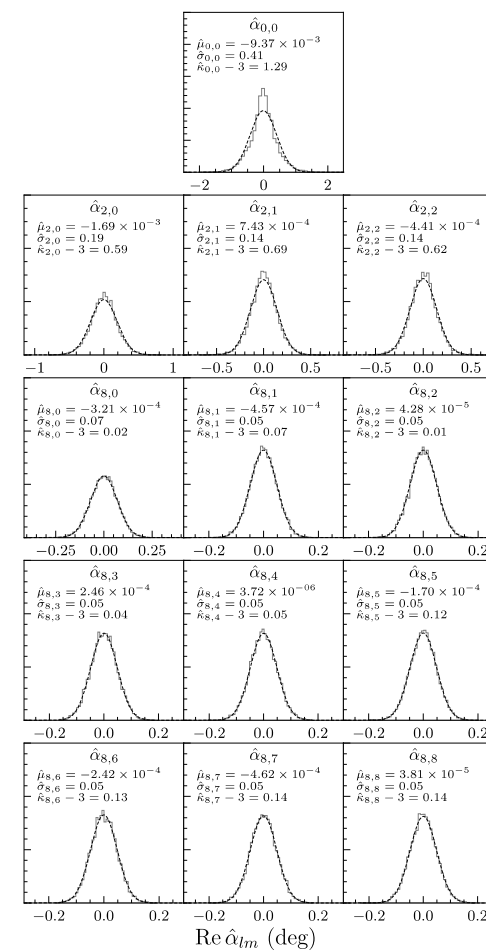
birefringence angle α (deg)



Non-Gaussian axion
birefringence map



Gaussian random field
with same power spectrum



(4) Producing dark photon dark matter



Growing interest in wave-like vector dark matter

[Snowmass 2021 – Wave Dark Matter report]

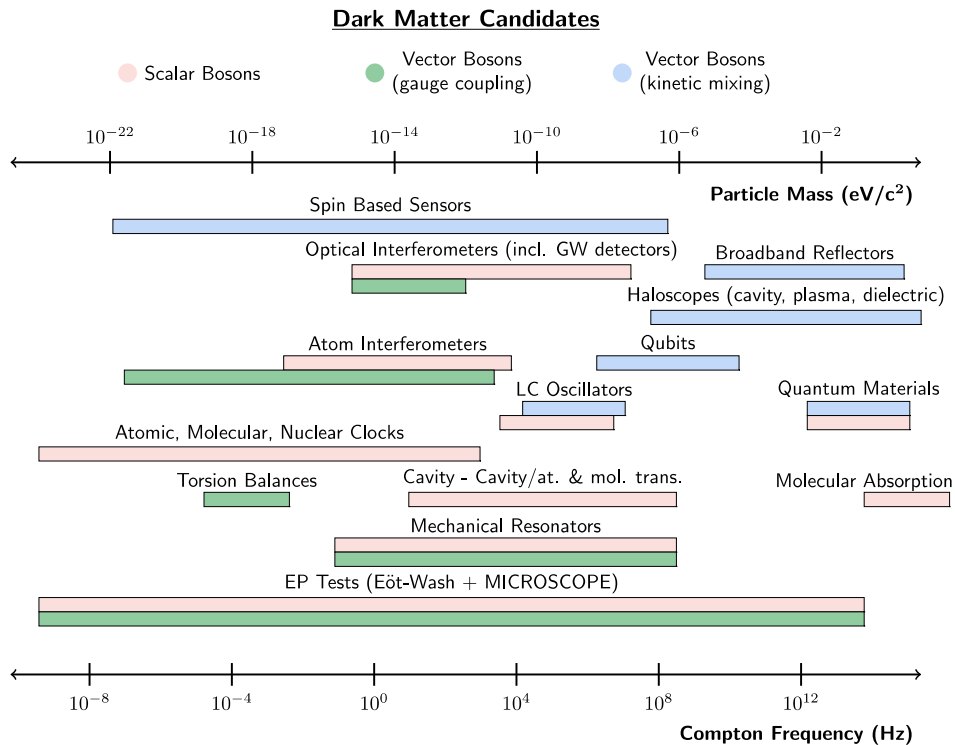


Dorian Amaral
(Rice U postdoc)

Impressive abundance and diversity of
detection strategies in the lab

Whereas making a vector out of scalar dark matter requires
taking a gradient, vector dark matter avoids this velocity
suppression

A playground of couplings to explore:
kinetic mixing, gauged B-L, gauged L_e-L_μ , ...



A dark photon production problem

[Nelson & Scholtz (2011)], [Arias, Cadamuro, Goodsell, Jaeckel, & Redondo (2012)]
 [Co, Pierce, Zhang, & Zhao (2018)] (plot)
 [Agrawal, Kitajima, Reece, Sekiguchi, & Takahashi (2018)]
 [Bastero-Gil, Santiago, Ubaldi, & Vega-Morales (2018)]
 [Dror, Harigaya, & Narayan (2018)]

Misalignment production?

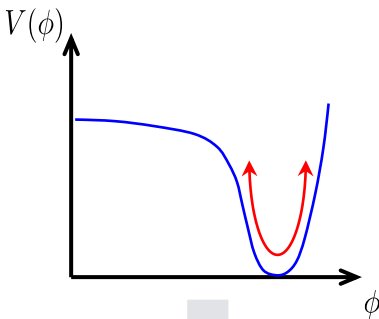
- Not viable for vectors!
- Potential energy redshifts away during inflation

$$\rho_\phi \sim m^2 \phi^2 \sim a^0$$

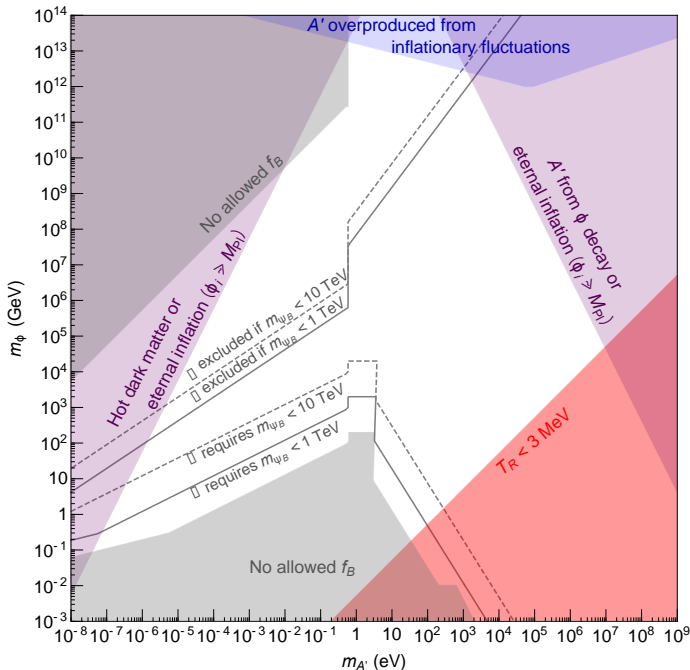
$$\rho_A \sim g^{\mu\nu} m^2 A_\mu A_\nu \sim a^{-2}$$

Transfer from a scalar?

- Burst of activity in 2018



$$\mathcal{L}_{\text{int}} = -\frac{\phi}{M} F_{\mu\nu} \tilde{F}^{\mu\nu}$$

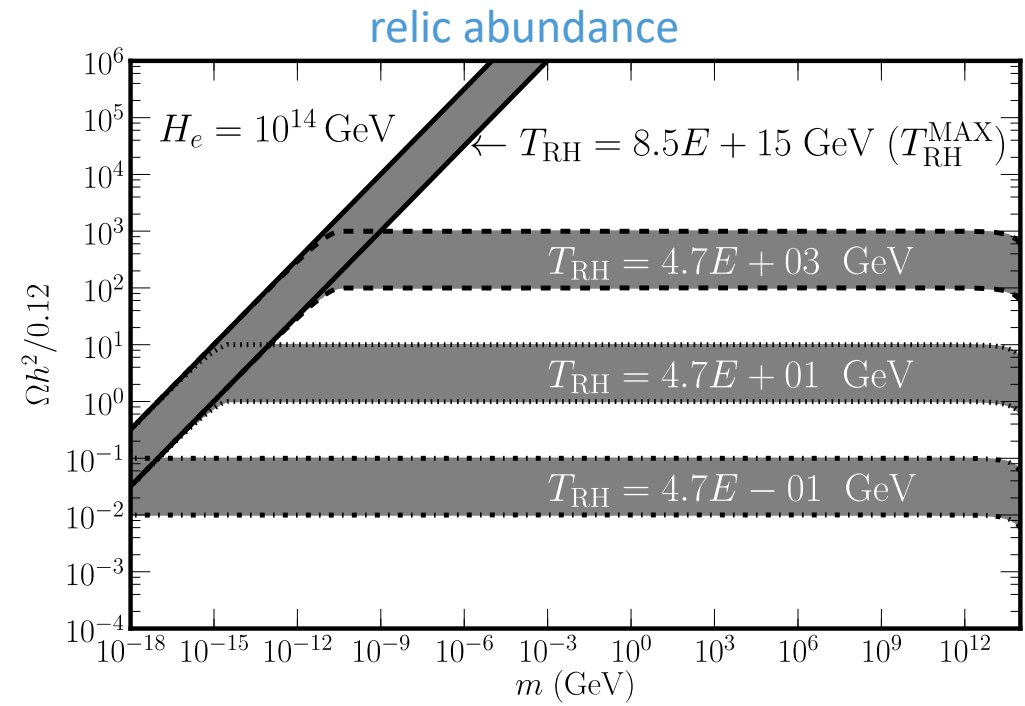
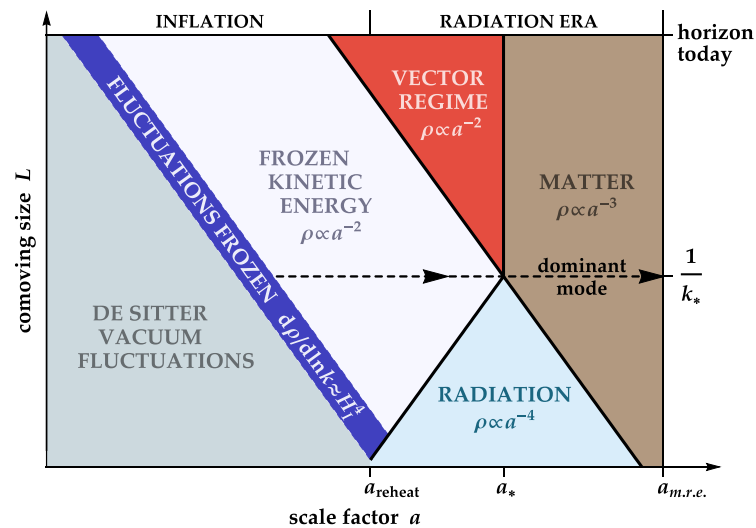


Gravitational production of dark photons

[Graham, Mardon, Rajendran (2015)], [Ahmed, Grzadkowski, Socha (2000)]
 [Kolb & Long, arXiv:2009.03828]

Ask: how does a massive vector field behave in an inflationary cosmology?

Quantum field fluctuations during inflation survive as dark matter density perturbations today

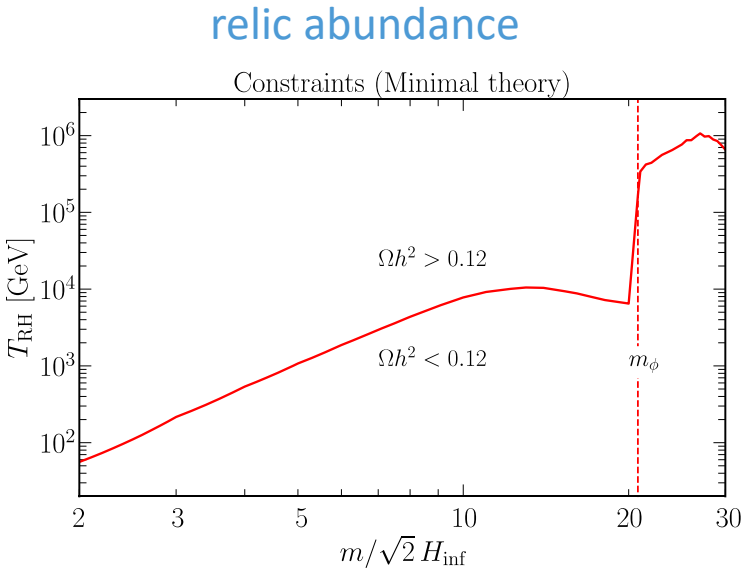
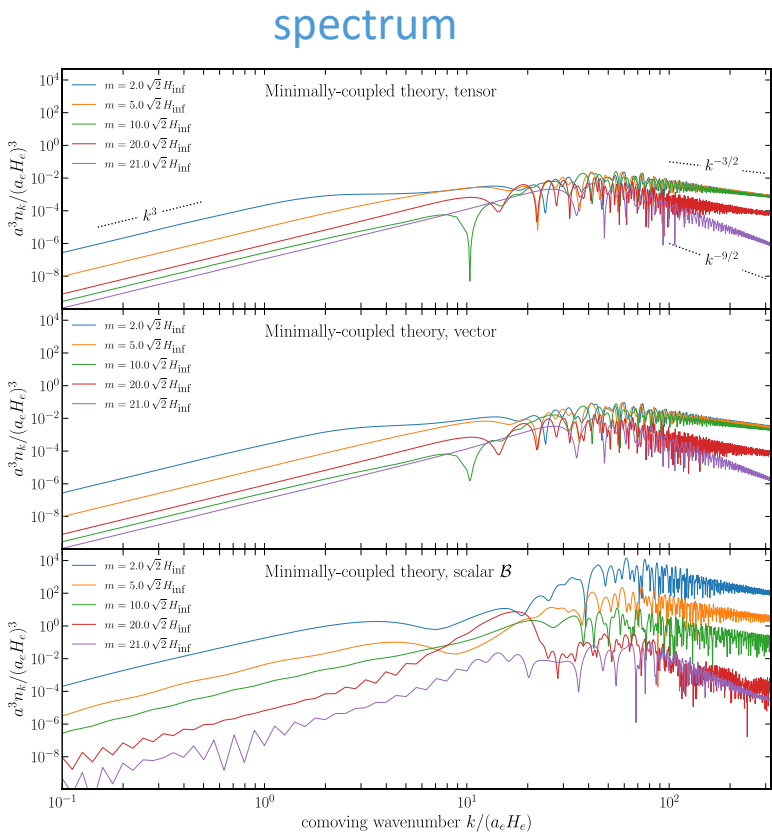


$$\frac{\Omega h^2}{0.12} \approx \begin{cases} \left(\frac{m}{10^{-6} \text{ eV}}\right)^{1/2} \left(\frac{H_{\text{inf}}}{10^{14} \text{ GeV}}\right)^2 & , \text{ high } T_{\text{RH}} \\ \left(\frac{T_{\text{RH}}}{10 \text{ GeV}}\right) \left(\frac{H_{\text{inf}}}{10^{14} \text{ GeV}}\right)^2 & , \text{ low } T_{\text{RH}} \end{cases}$$

Dark photon dark matter with $m > 10^{-6} \text{ eV}$ may arise from gravitational interactions alone

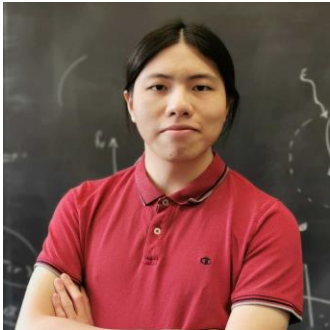
Gravitational production of massive spin-2

[Kolb, Ling, AL, & Rosen, arXiv:2302.04390]



FRW Higuchi bound

$$m^2 > 2H^2(1 - \epsilon)$$



Siyang Ling
(Rice U grad)

Dark photon emission from cosmic strings

[AL & Wang, arXiv:1901.03312]

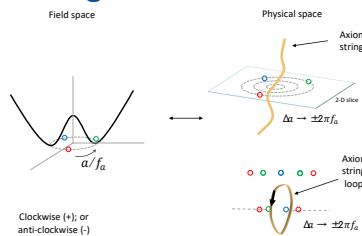
Ultra-light dark photons may arise from an Abelian-Higgs model with a tiny gauge coupling.

$$\mathcal{L} = |D_\mu \Phi|^2 - \frac{1}{4} F_{\mu\nu} F^{\mu\nu} - \lambda (|\Phi|^2 - v^2/2)^2$$

$$D_\mu \Phi = \partial_\mu \phi + ie A_\mu \Phi$$

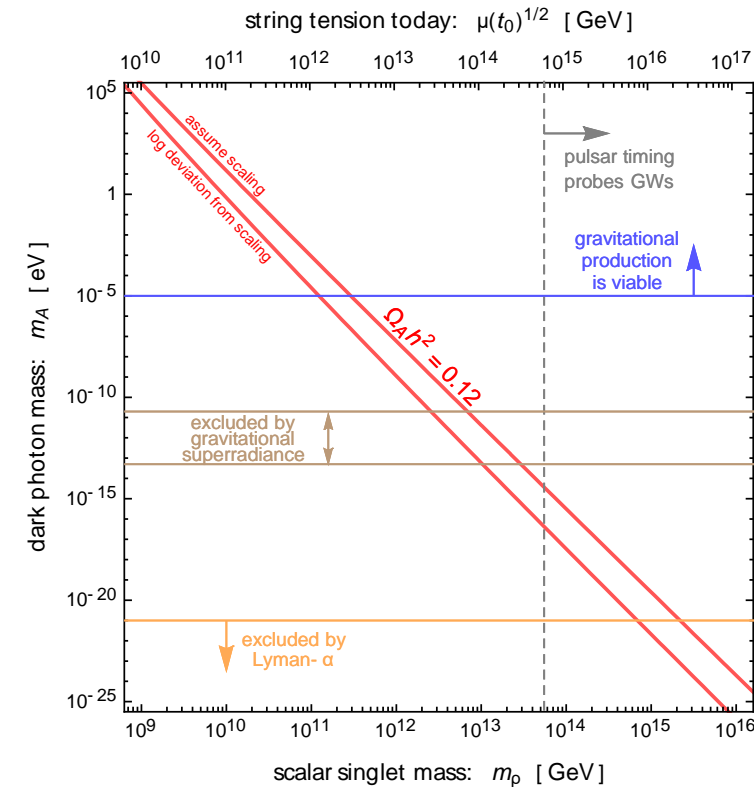
$$(m_A = ev) \ll (m_\rho = \sqrt{2\lambda}v)$$

The early-universe symmetry breaking phase transition creates a network of cosmic strings.



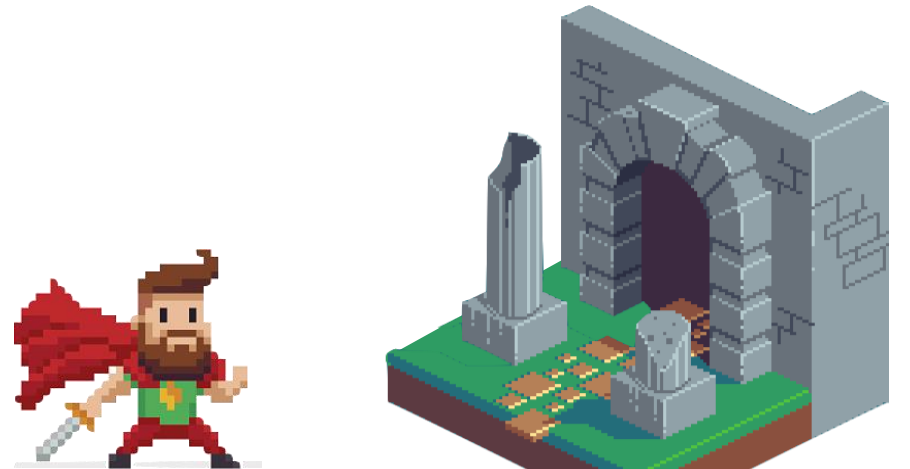
Dark photons are emitted efficiently from the string network – like Goldstone emission from global strings – and become nonrelativistic before today.

relic abundance



Production from strings can explain the origin of dark photon dark matter for a wide range of masses

(5) Radio bursts from dark photon stars



A dark matter clump with spin

[Brito & et. al. (2015)], [Aoki et. al. (2017)], [Adshead & Lozanov (2021)], [Chen et. al. (2023)]
[Jain & Amin (2021)], [Zhang, Jain, & Amin (2021)], [Jain (2022)], [Amin, Jain, Karur, Mocz (2022)]

spatially-coherent clump of dark photons:

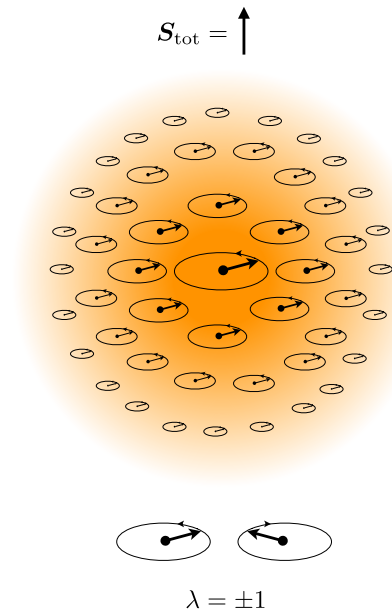
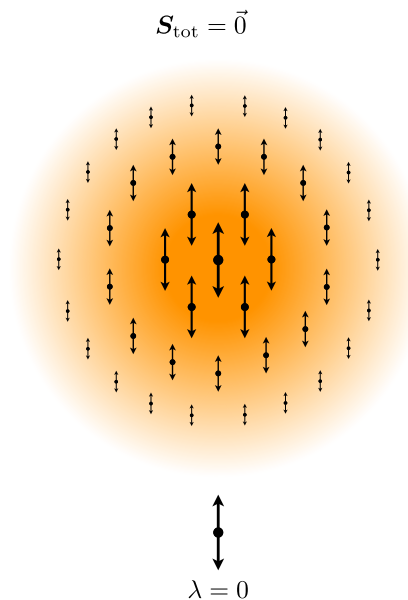
- bounded by gravity or nongravitational self-interaction
- lowest-energy configurations carry macroscopic spin
- form during structure formation (seen in simulations)
- if gravitationally bounded ...

$$M \sim (10^{-7} M_{\odot})(m/10^{-6} \text{ eV})^{-1}$$

$$S \sim (10^{65} \hbar)(m/10^{-6} \text{ eV})^{-2}$$

$$R \sim (1 \text{ km})(m/10^{-6} \text{ eV})^{-1}$$

**How can we detect these
objects in galaxy halos?**



Mustafa Amin
(Rice U faculty)



Mudit Jain
(Rice U postdoc)

Electromagnetic radiation signal

[Amin, AL, & Schiappacasse, arXiv:2301:11470]

assume coupling
to electromagnetism:
via dimension-6 operators

$$\begin{aligned}\mathcal{O}_1 &= -\frac{1}{2}F_{\mu\nu}\tilde{F}^{\mu\nu}(X \cdot X) && \approx 2(\mathbf{E} \cdot \mathbf{B})(\mathbf{X} \cdot \mathbf{X}) \\ \mathcal{O}_2 &= -\frac{1}{2}F_{\mu\nu}F^{\mu\nu}(X \cdot X) && \approx (\mathbf{E} \cdot \mathbf{E})(\mathbf{X} \cdot \mathbf{X}) - (\mathbf{B} \cdot \mathbf{B})(\mathbf{X} \cdot \mathbf{X}) \\ \mathcal{O}_3 &= F_{\mu\rho}F^{\nu\rho}X^\mu X_\nu && \approx (\mathbf{B} \cdot \mathbf{B})(\mathbf{X} \cdot \mathbf{X}) - (\mathbf{E} \cdot \mathbf{X})^2 - (\mathbf{B} \cdot \mathbf{X})^2 \\ \mathcal{O}_4 &= \tilde{F}_{\mu\rho}\tilde{F}^{\nu\rho}X^\mu X_\nu && \approx (\mathbf{E} \cdot \mathbf{E})(\mathbf{X} \cdot \mathbf{X}) - (\mathbf{E} \cdot \mathbf{X})^2 - (\mathbf{B} \cdot \mathbf{X})^2 \\ \mathcal{O}_5 &= F_{\mu\rho}F^{\nu\rho}\partial^\mu X_\nu && \approx (\mathbf{E} \times \mathbf{B}) \cdot \dot{\mathbf{X}}.\end{aligned}$$

radiation from solitons in vacuum:

- oscillating dark photon field triggers parametric resonance in the electromagnetic field
- we derive condition for parametric resonance:

$$g^2 \bar{X}^2 m R \gtrsim 1$$

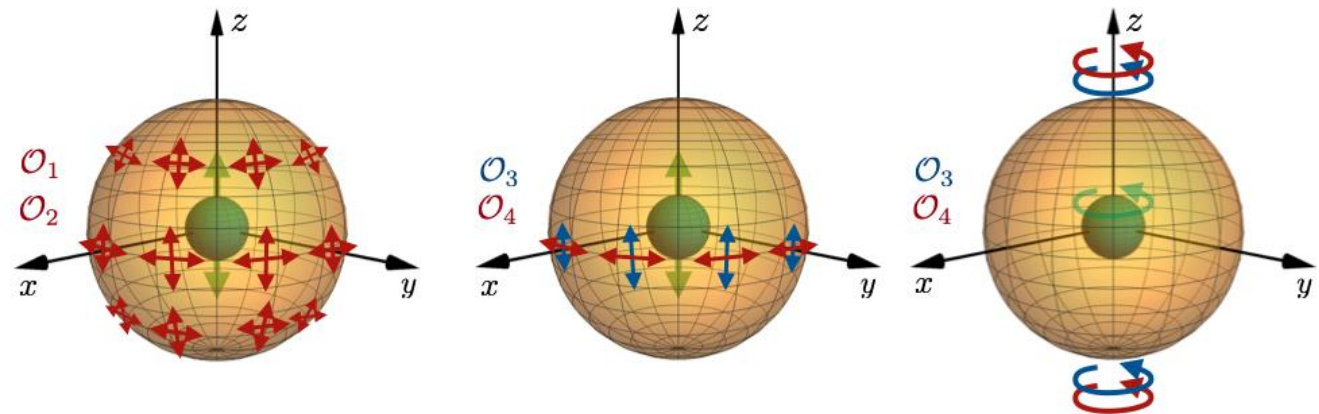
- emission is a narrow radio line

$$f_\gamma \approx m/2\pi \approx (0.2 \text{ GHz})(m/10^{-6} \text{ eV})$$

Enrico
Schiappacasse
(Rice U postdoc)



radiation pattern:
depends on the operator
& polarization of the soliton



Astrophysical implications

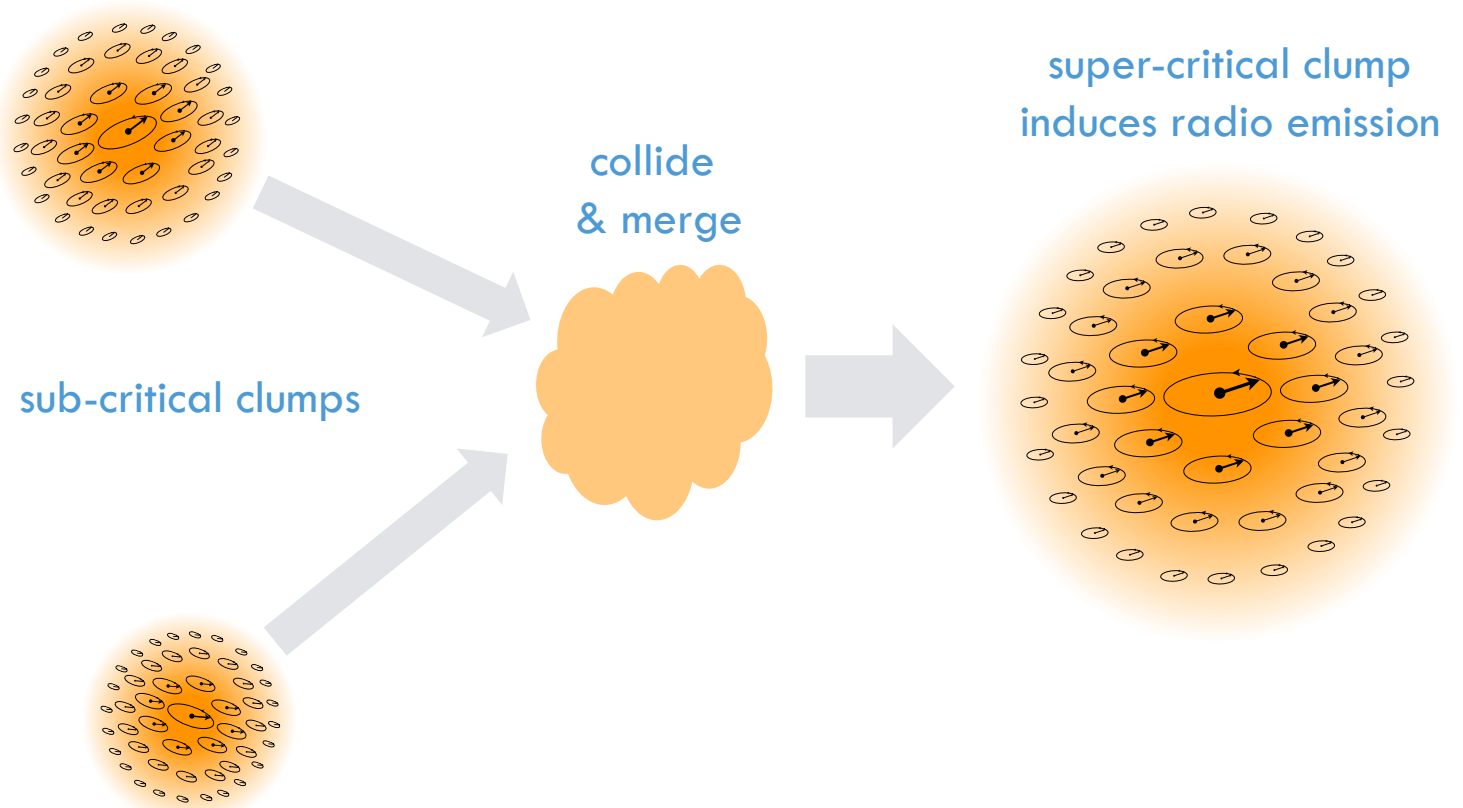
[Tkachev (2014)], [Levkov, Panin, & Tkachev (2000)], [Hertzberg & Schiappacasse (2018)]
[Amin, AL, & Schiappacasse, arXiv:2301.11470]

to activate parametric resonance, the clump mass
must exceed a threshold value

$$M \gtrsim (2 \times 10^{-9} M_{\odot}) (m/10^{-6} \text{ eV})^{-1} (g/10^{-10} \text{ GeV}^{-1})^{-2/3}$$

this may occur when clumps merge in galaxy halos
today

**signal: strong, transient,
narrow radio burst**



$$\nu_0 \sim (200 \text{ MHz}) \left(\frac{m}{10^{-6} \text{ eV}} \right),$$

$$\Delta\nu \sim (40 \text{ kHz}) \left(\frac{g}{10^{-10} \text{ GeV}^{-1}} \right)^{-2/3} \left(\frac{m}{10^{-6} \text{ eV}} \right)$$

summary & conclusion



Symmetry principles guide us to explore extensions of the Standard Model containing light axion-like particles and hidden/dark photons

We must 'delve into every dungeon' if we seek to explore these particles through their myriad manifestations:

dark radiation, dark matter, clumps / solitons, strings, ...

Astrophysical and cosmological observables (X-ray, radio, birefringence) will continue to be a pathway to discovery

