

Reheating dynamics of dark sectors

Helena Kolešová (AEC, ITP, University of Bern)



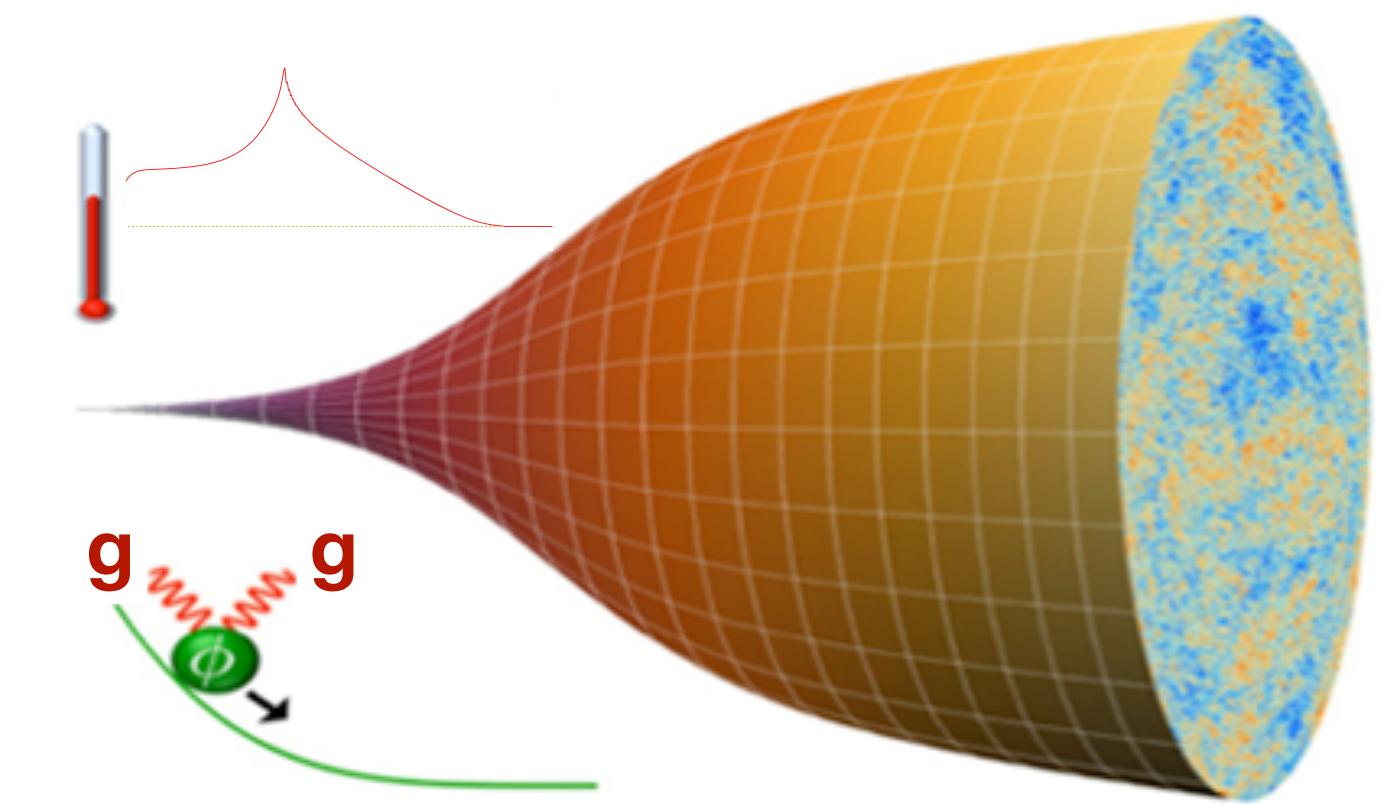
Joint work with Simona Procacci and Mikko Laine
ArXiv: [2303.17973](https://arxiv.org/abs/2303.17973)

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Summary

- Inflaton coupled to non-abelian dark sector (parametrised by confinement scale Λ_{IR})
- Thermal bath present throughout the inflation!
- Working example: Axion inflation coupled to SU(3) gauge sector [\[Laine, Procacci: 2102.09913\]](#)
[\[Klose, Laine, Procacci: 2201.02317\]](#)
[\[Klose, Laine, Procacci: 2210.11710\]](#)
- [\[HK, Laine, Procacci: 2303.17973\]](#) - evolution of dark sector temperature studied



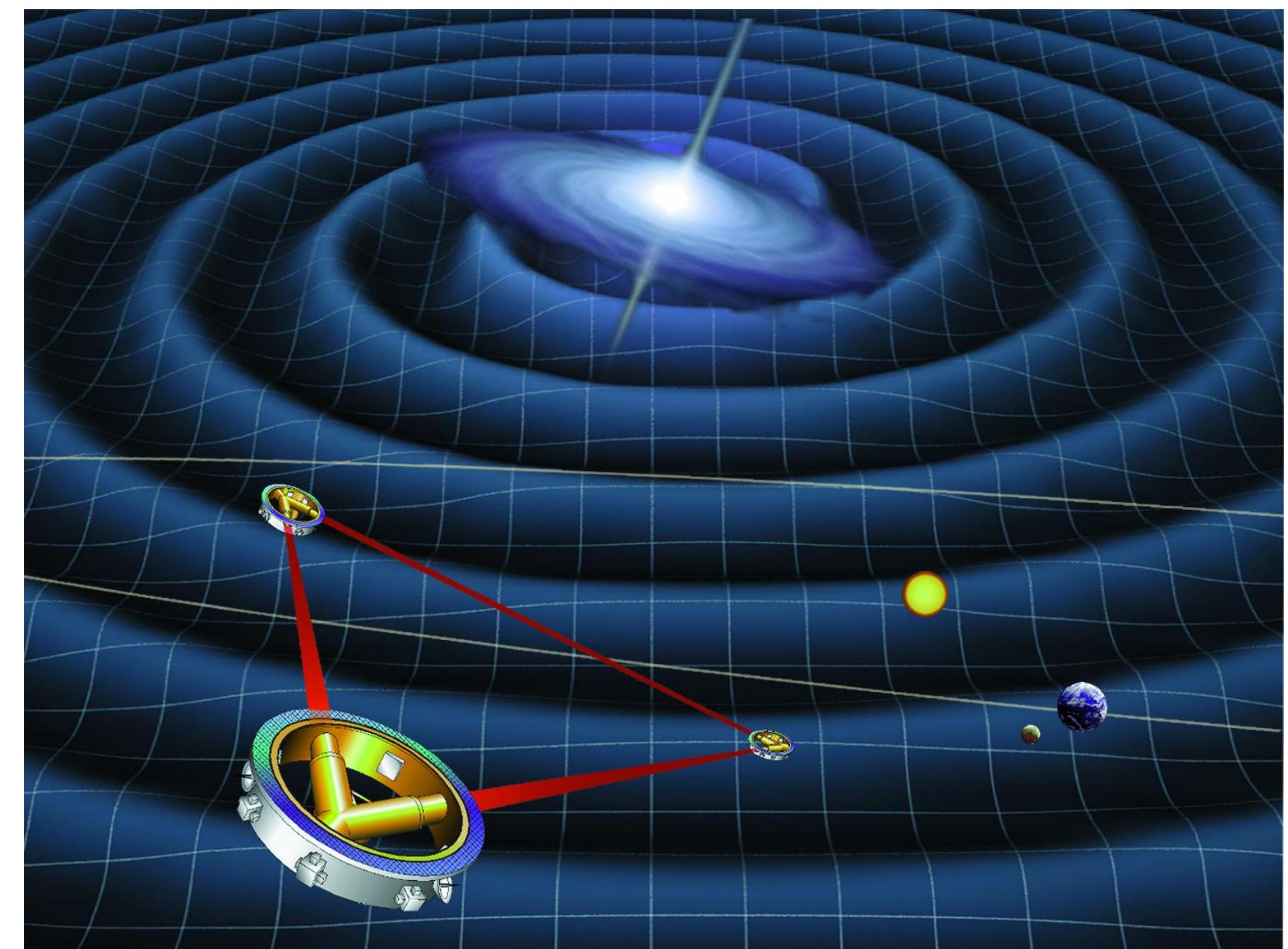
Credit: João G. Rosa/University of Aveiro; ESA and the Planck collaboration

Why is high temperature interesting?

- Possible gravitational wave signal:

Thermal fluctuations
[Ghiglieri, Laine: 1504.02569]
[Klose, Laine, Procacci: 2201.02317, 2210.11710]

Dark sector confinement phase transition
[Caprini et al.: 1910.13125] [Schwaller:1504.07263]



Credit: <http://lisa.jpl.nasa.gov/gallery/lisa-waves.html>

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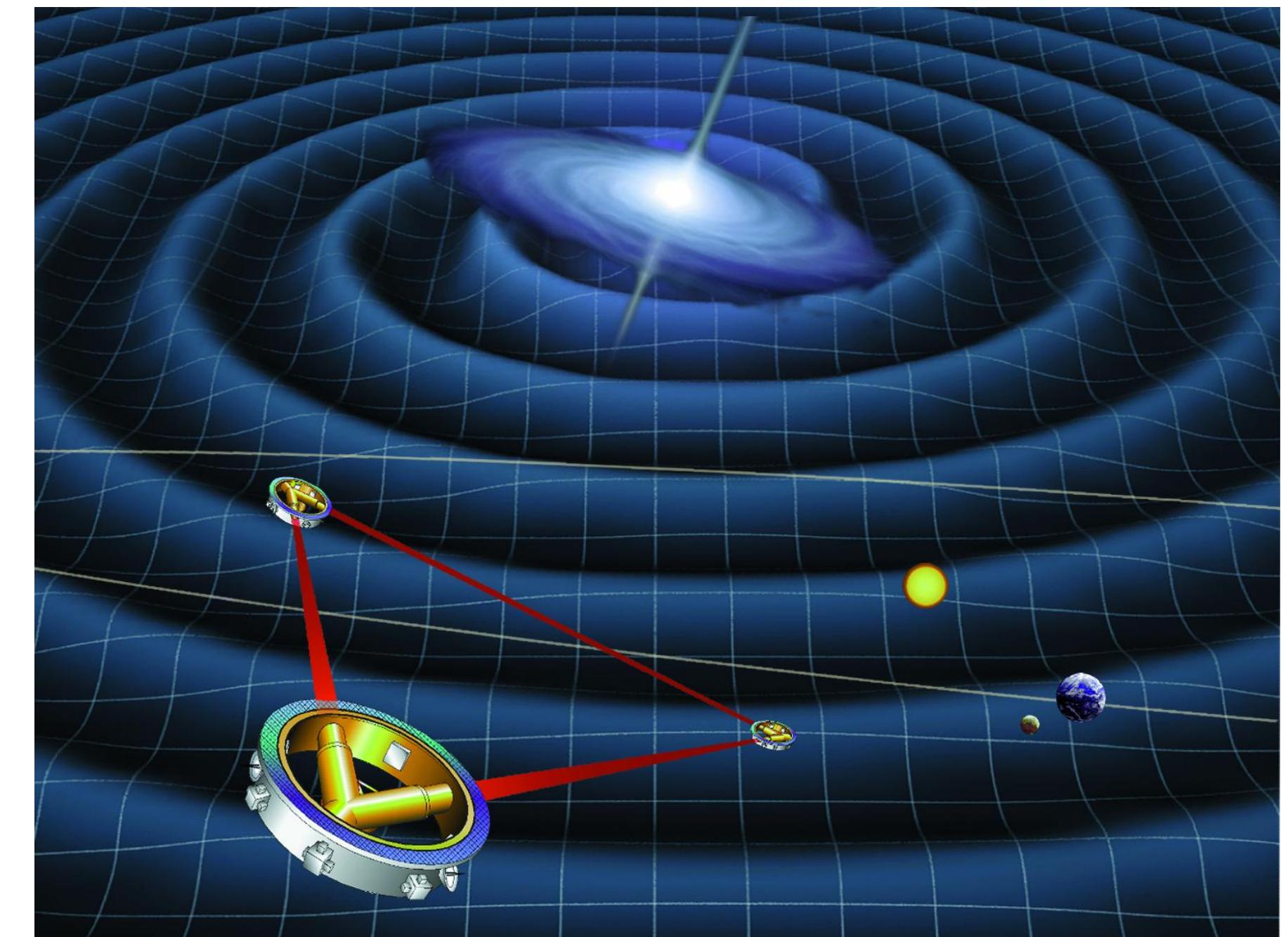
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- But has the dark sector heated up above the confinement temperature?



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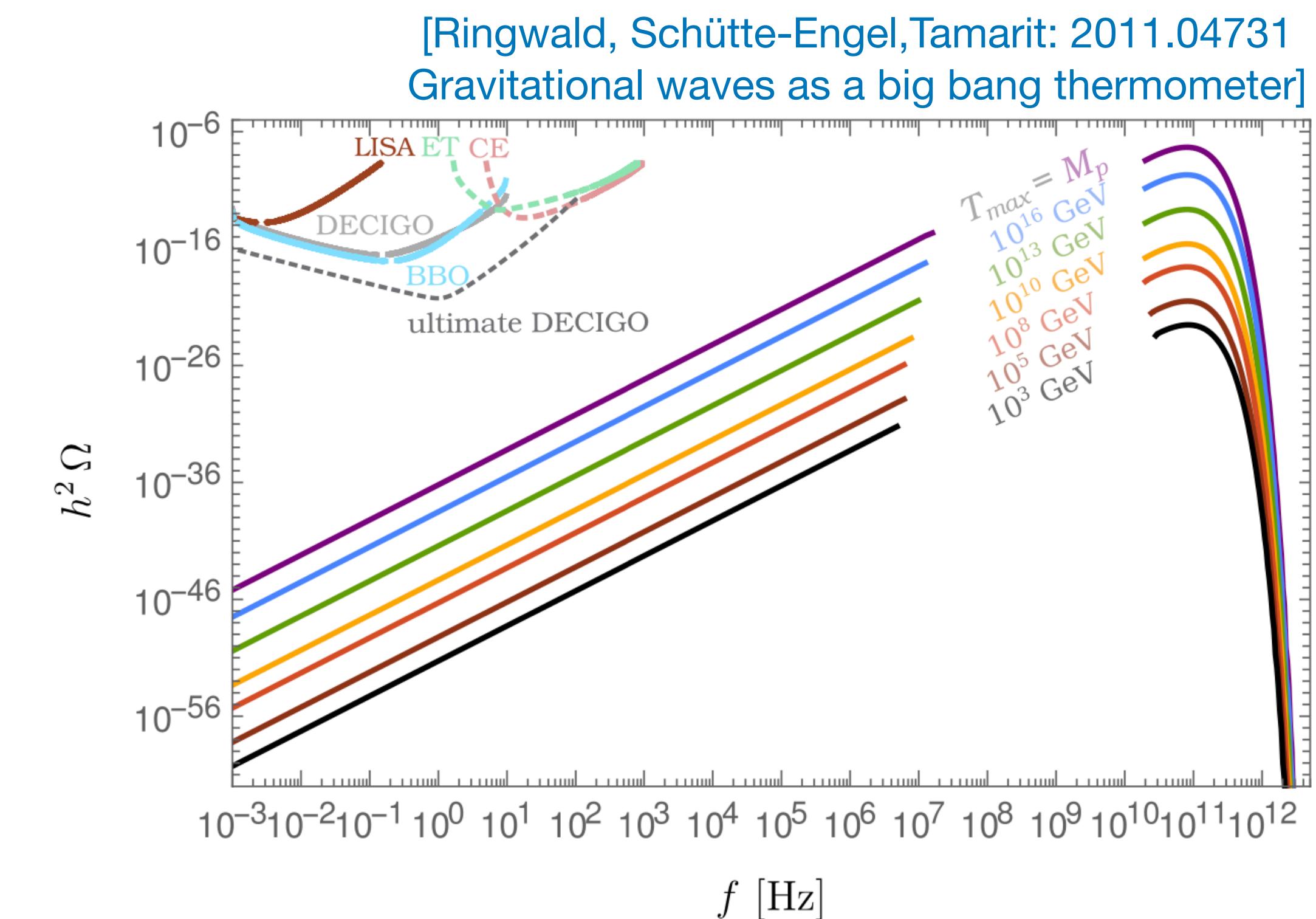
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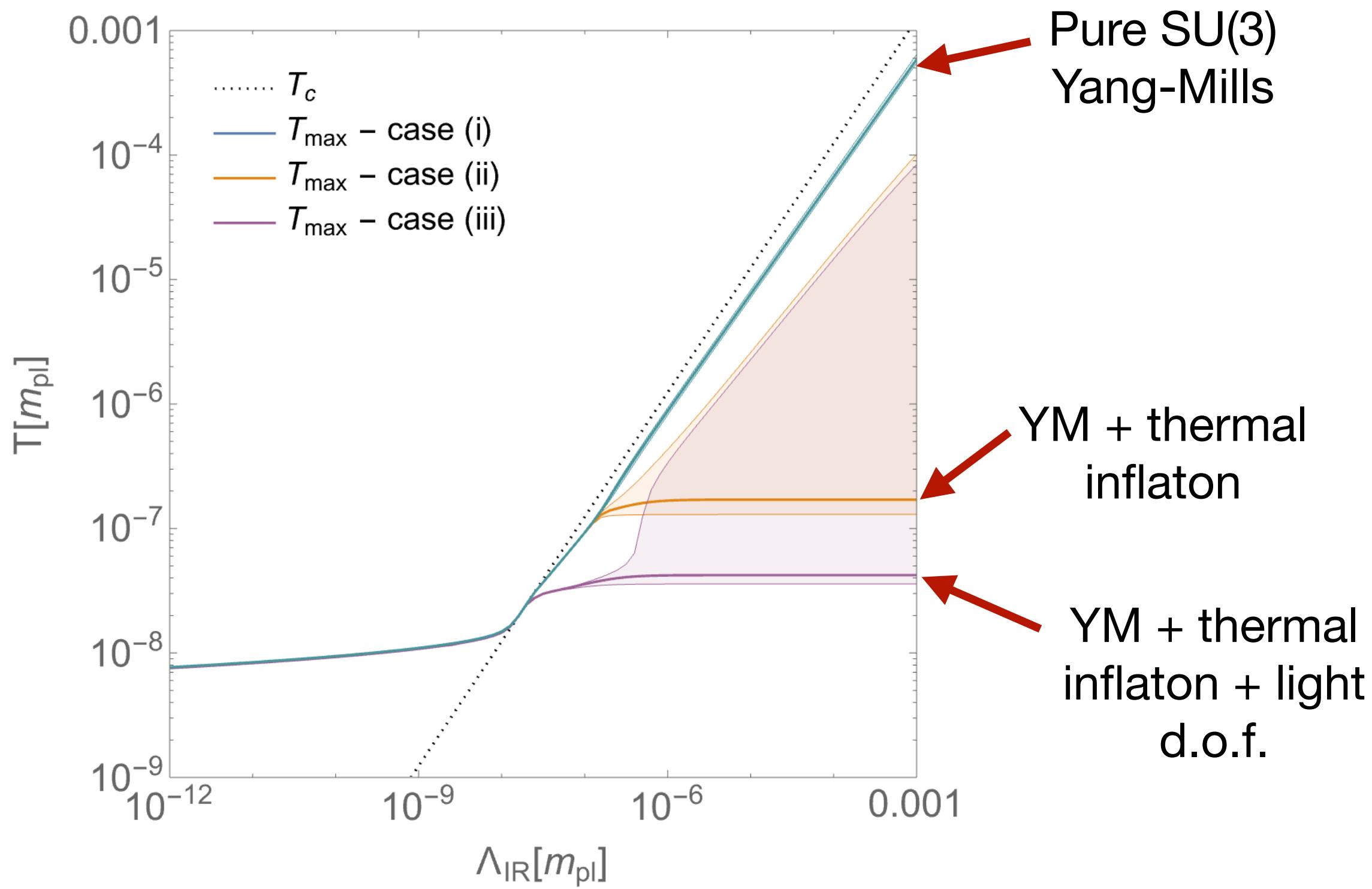
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- But has the dark sector heated up above the confinement temperature?

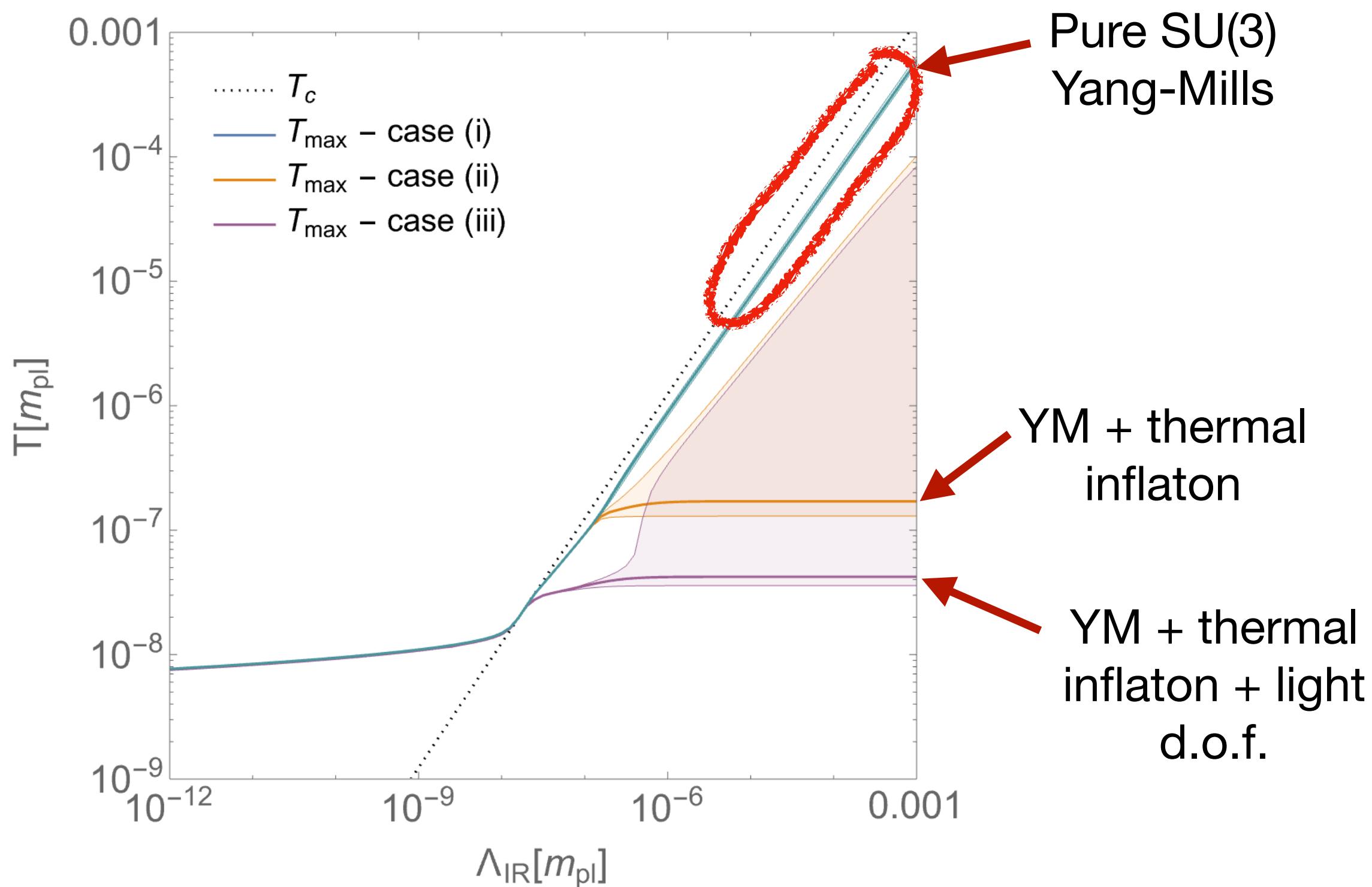
- Amplitude of gravitational waves from thermal fluctuations grows significantly with maximum reached temperature!



Results: Maximal temperature of the dark sector



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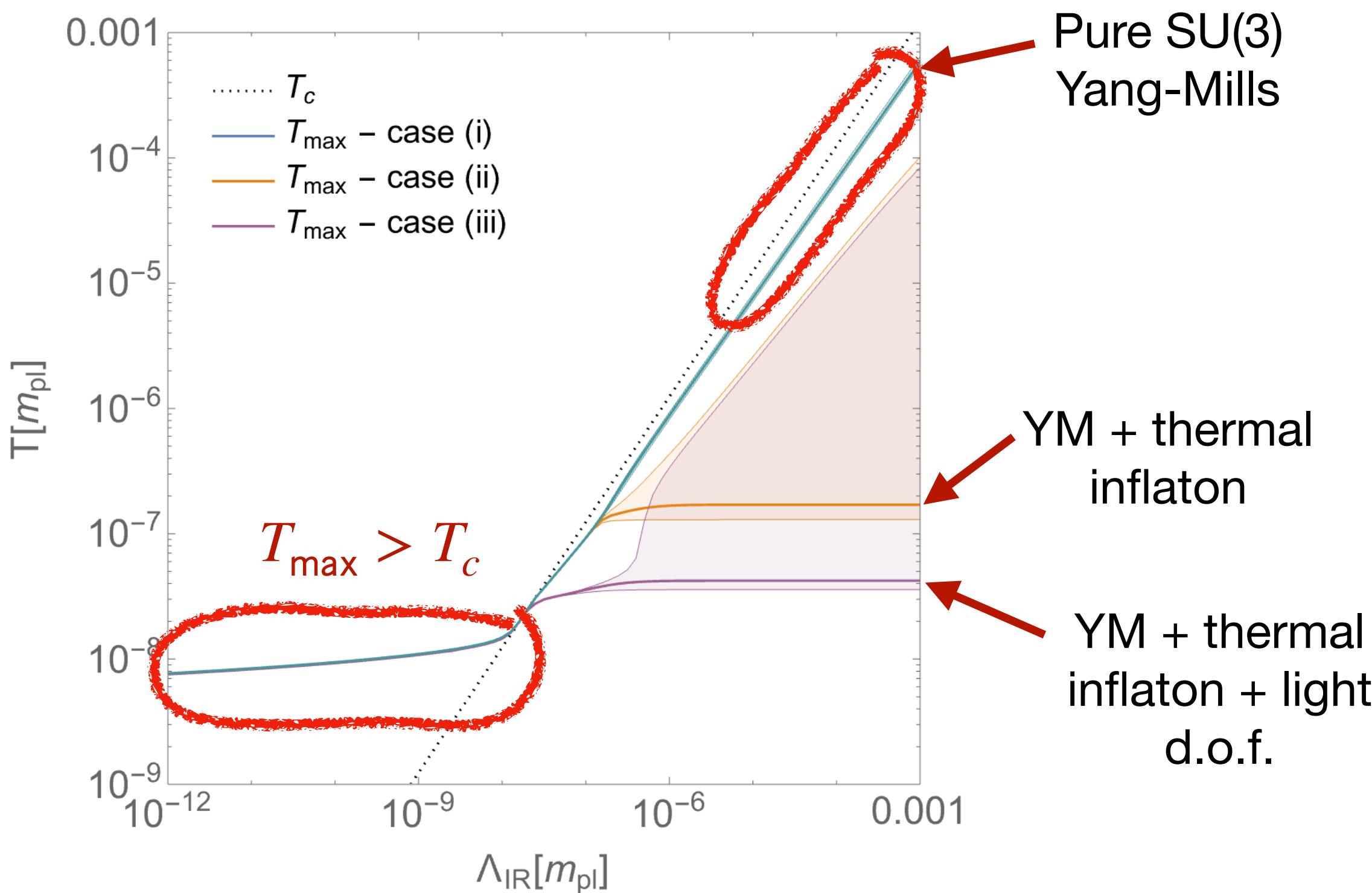


Message 1: Temperatures up to $10^{-3} m_{\text{pl}}$ can be reached

- For Λ_{IR} up to $10^{-3} m_{\text{pl}}$
- If Yang-Mills plasma not coupled to extra light d.o.f.

⇒ Hope for potentially detectable GW from thermal plasma!

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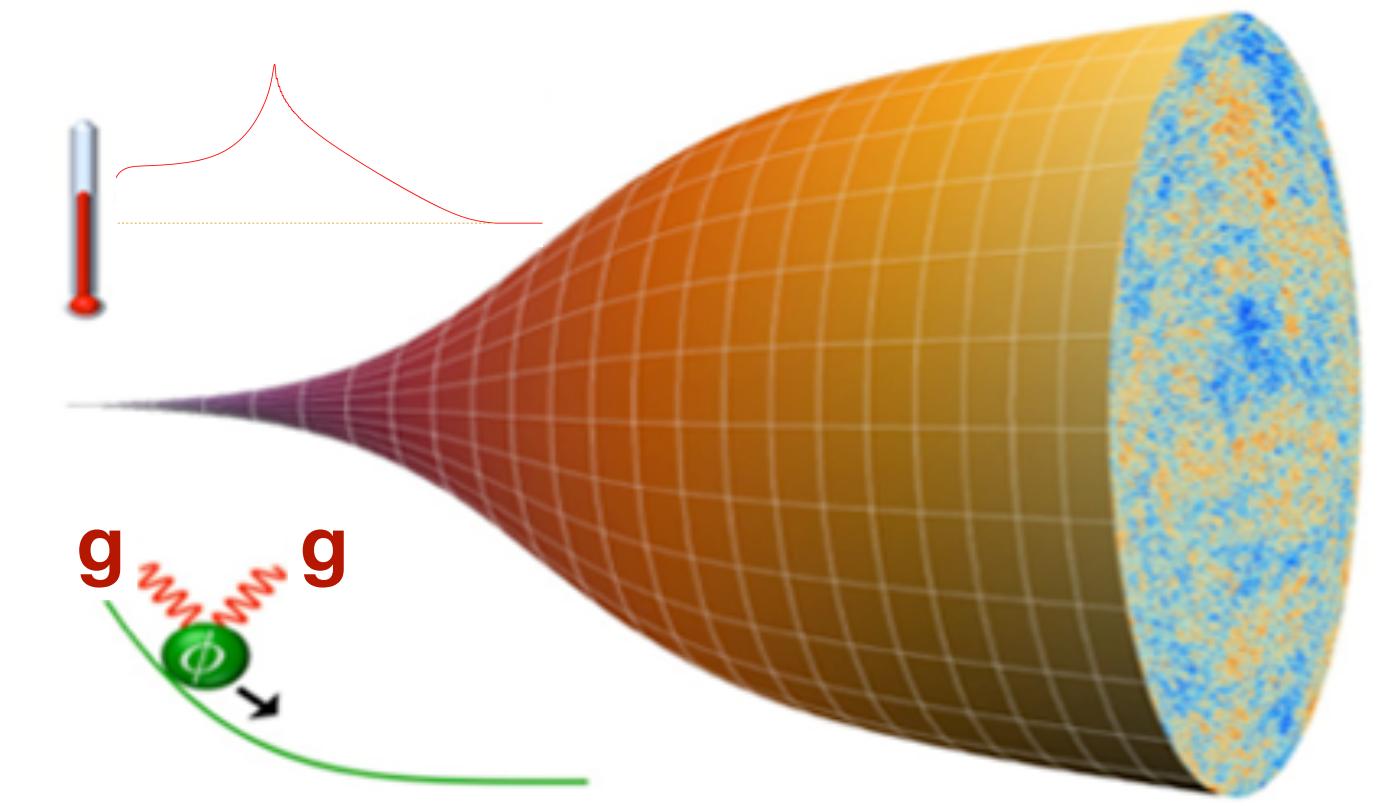
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Message 2: For lower Λ_{IR} the dark sector heats up above T_c
⇒ undergoes a phase transition! Possible further GW signal!

For curious listeners

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- Evolution of dark sector temperature studied



Credit: João G. Rosa/University of Aveiro; ESA and the Planck collaboration

$$\mathcal{L} \supset \frac{1}{2} \partial^\mu \varphi \partial_\mu \varphi - V_0(\varphi) - \frac{\alpha \varphi \epsilon^{\mu\nu\rho\sigma} F_{\mu\nu}^c F_{\rho\sigma}^c}{16\pi f_a}$$

Inflaton field Inflaton potential:

$$V_0 \simeq m^2 f_a^2 \left[1 - \cos\left(\frac{\bar{\varphi}}{f_a}\right) \right]$$

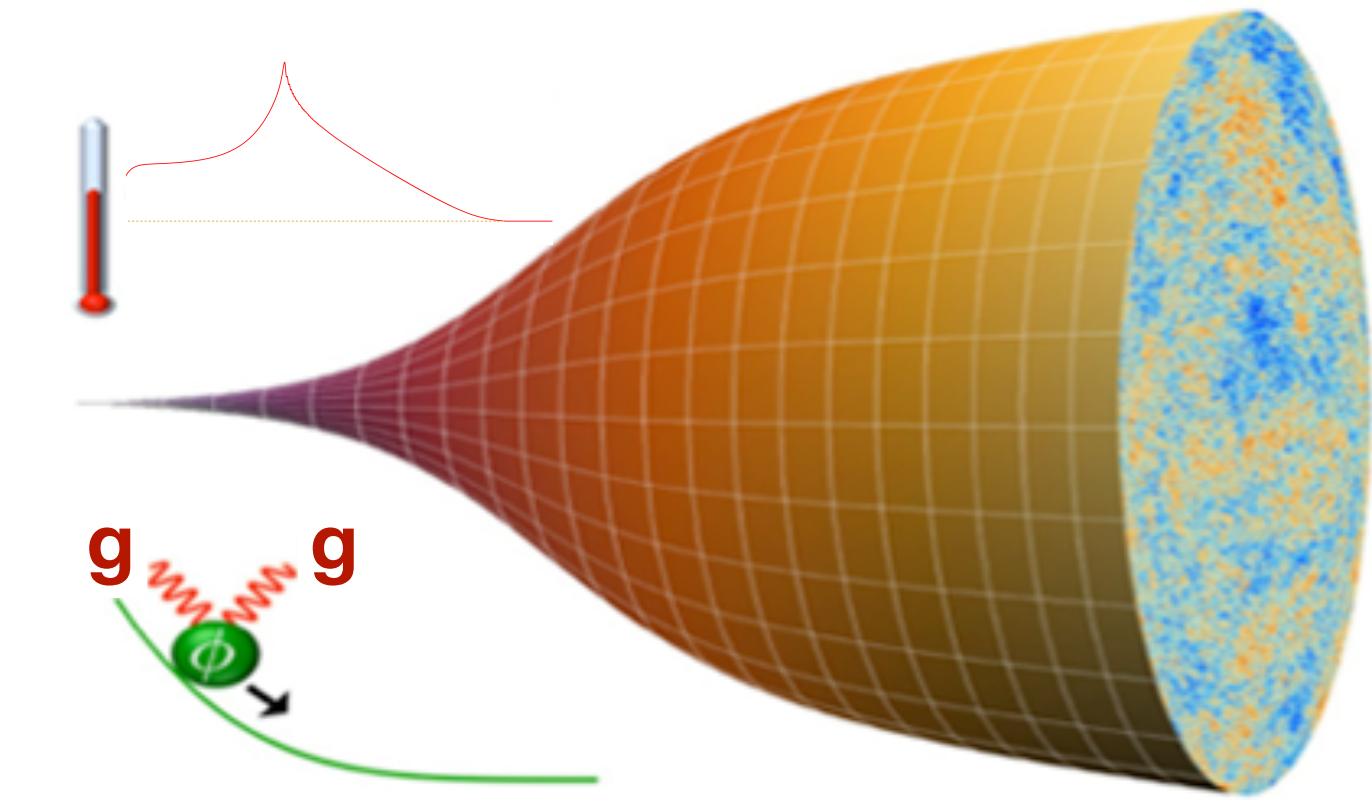
Gauge coupling Yang-Mills field strength

Axion decay constant

“Natural/axion inflation”
[Freese, Frieman, Olinto:
Phys.Rev.Lett. 65 (1990)]

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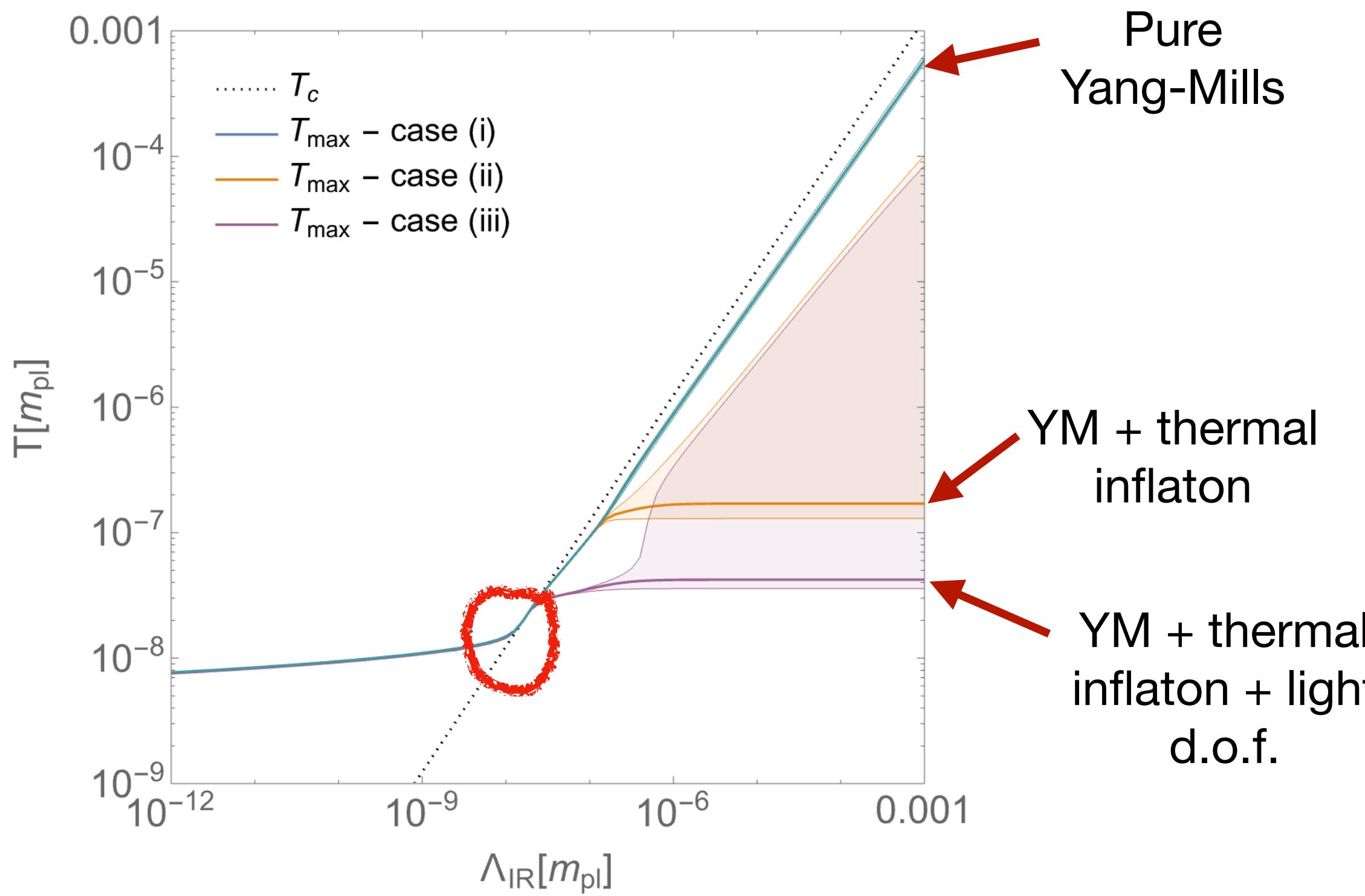
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Diagram illustrating the Lagrangian and its evolution:

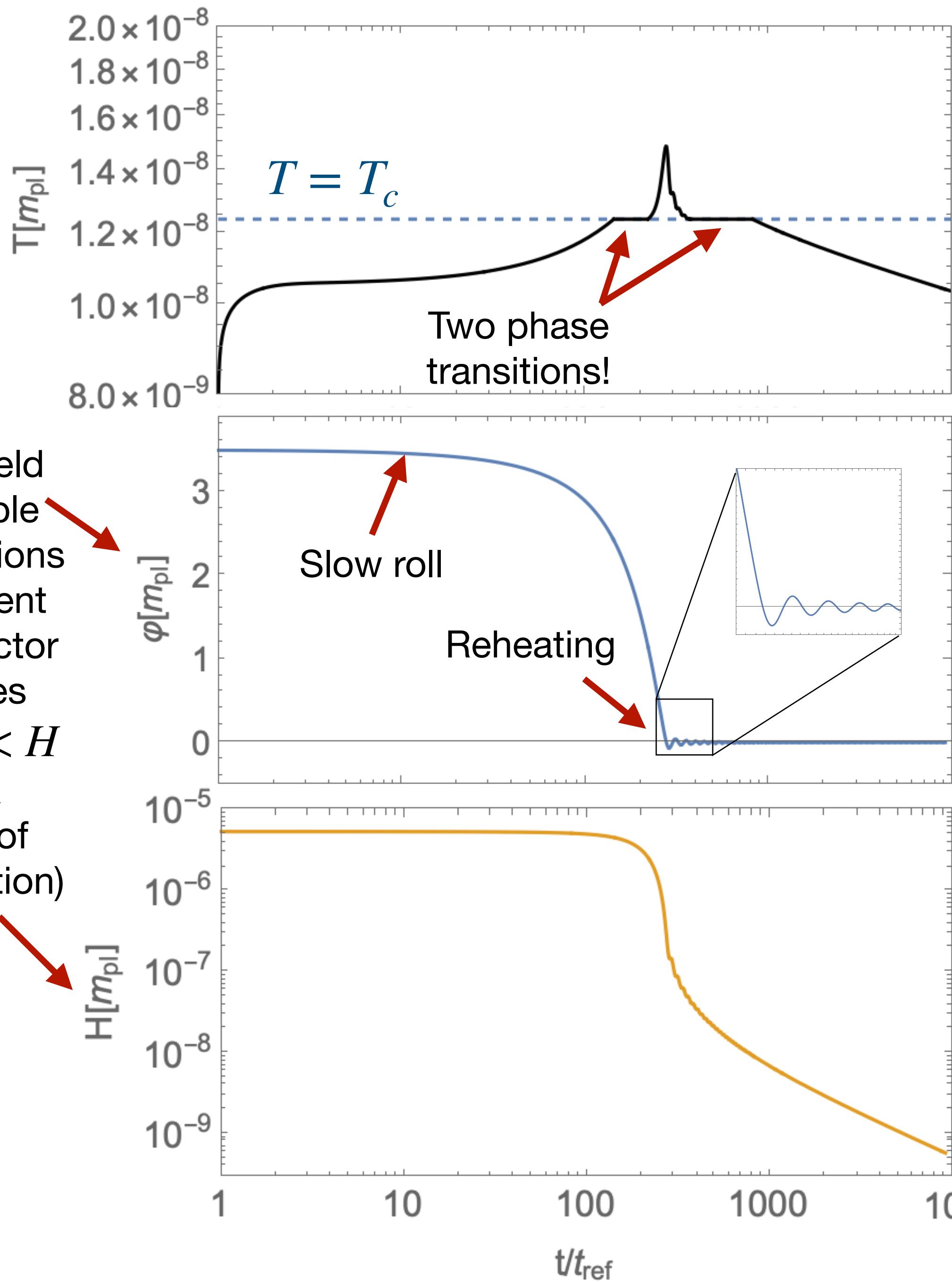
- Inflaton field:** φ
- Inflaton potential:** $V_0(\varphi)$
- Gauge coupling:** α
- Yang-Mills field strength:** $F_{\mu\nu}^c$
- Axion decay constant:** f_a
- Hubble rate:** $\dot{\varphi} + (3H + \Upsilon)\dot{\varphi} + V_\varphi \simeq 0$
- Friction due to inflaton coupling to dark sector!**
- Dark radiation energy and pressure densities:** $\dot{e}_r + 3H(e_r + p_r) \simeq \Upsilon \dot{\varphi}^2$

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Results: Maximal temperature of the dark sector



Message 3: There can even be two phase transitions!



Example: $\Lambda_{\text{IR}} = 10^{-8} m_{\text{pl}}$

Benchmark parameter choice
(axion inflation consistent with CMB data)

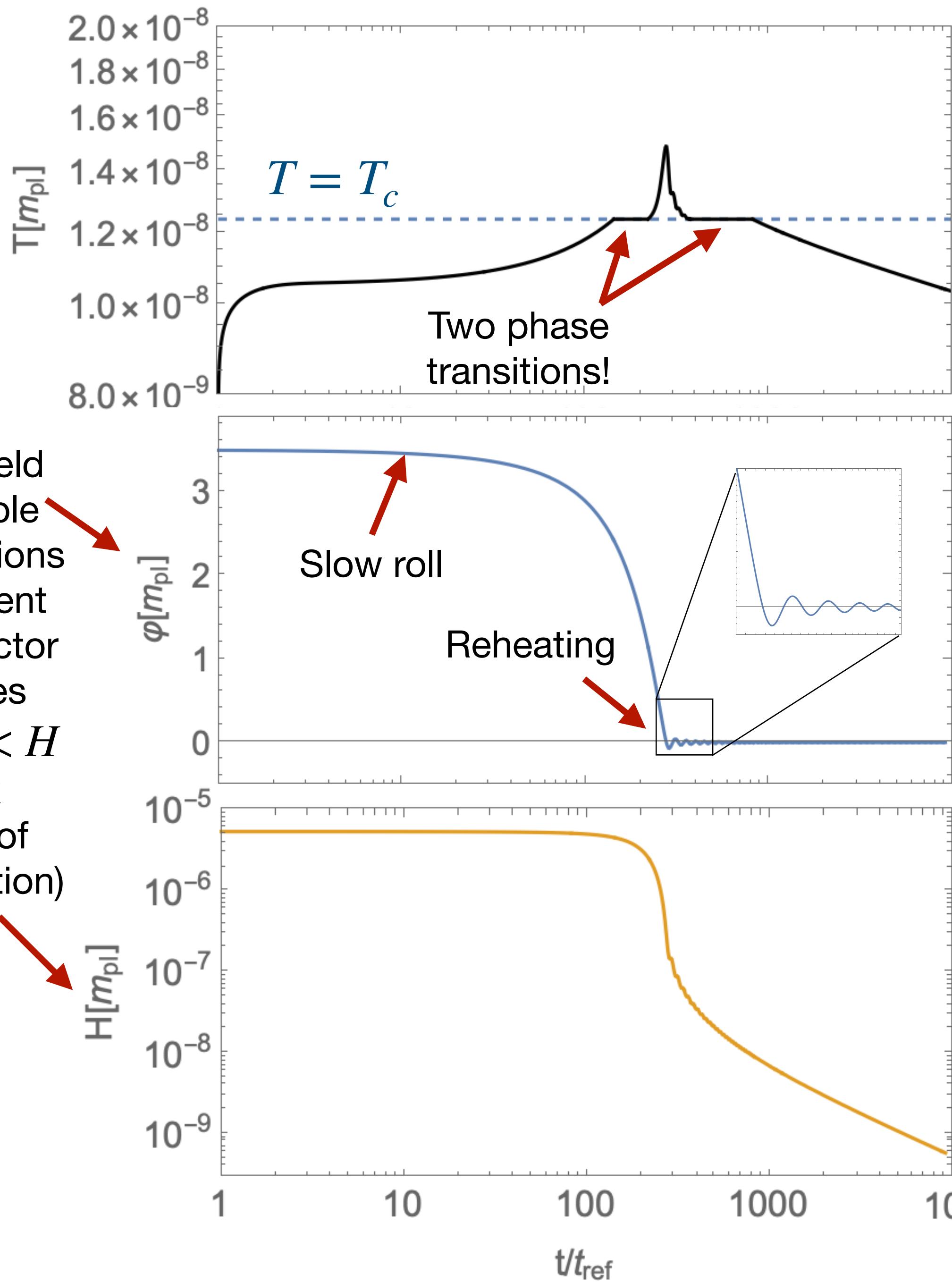
[Klose, Laine, Procacci: 2201.02317]:

axion mass: $m = 1.09 \times 10^{-6} m_{\text{pl}}$,

axion decay constant: $f_a = 1.25 m_{\text{pl}}$,

initial time: $t_{\text{ref}} \sim H_{\text{initial}}^{-1}$

$$\Rightarrow \Upsilon \sim 10^{-23} m_{\text{pl}}$$



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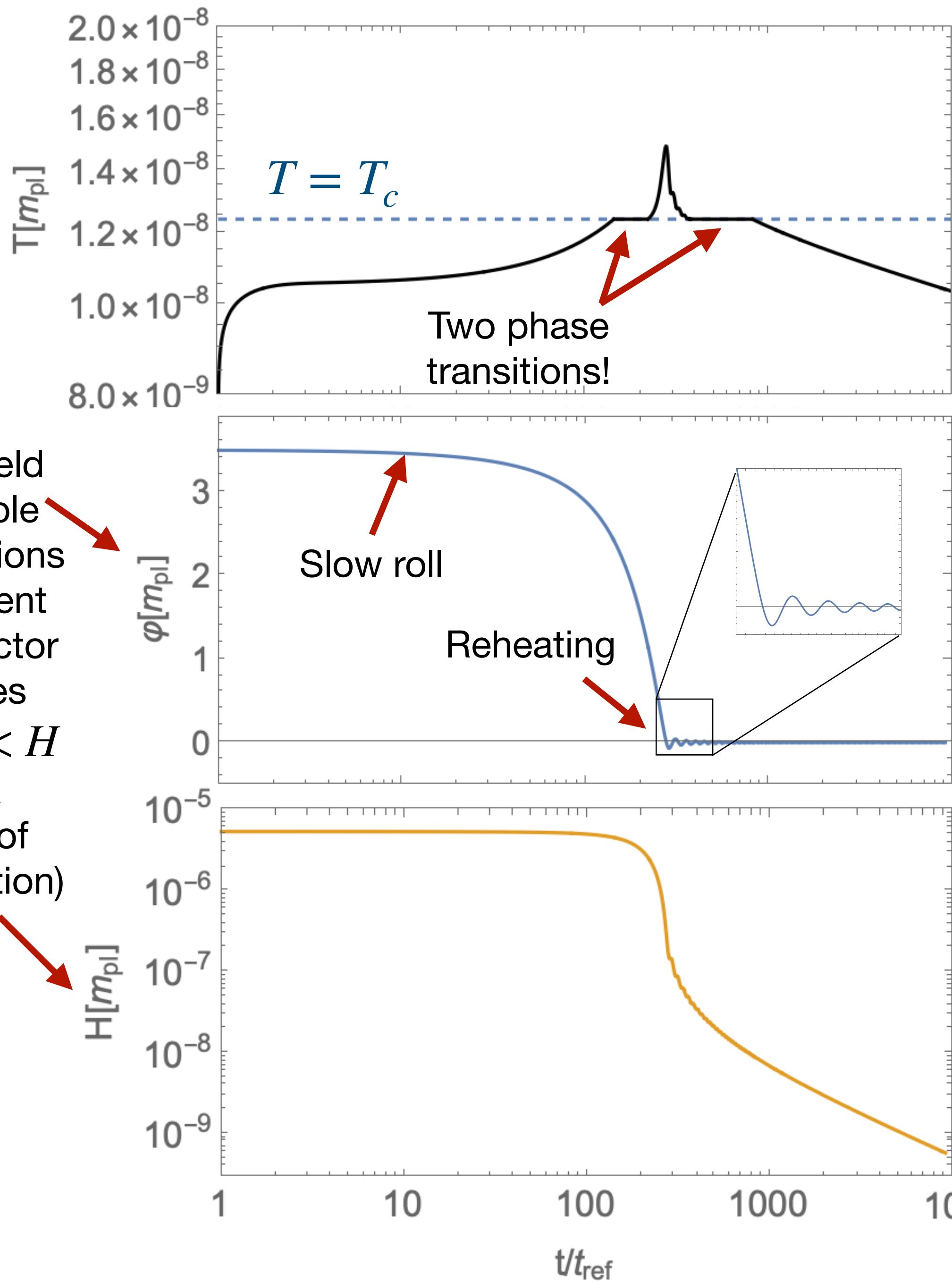
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- Heating and cooling phase transitions may bring interesting GW signatures!

[Buen-Abad, Chang, Hook: 2305.09712]



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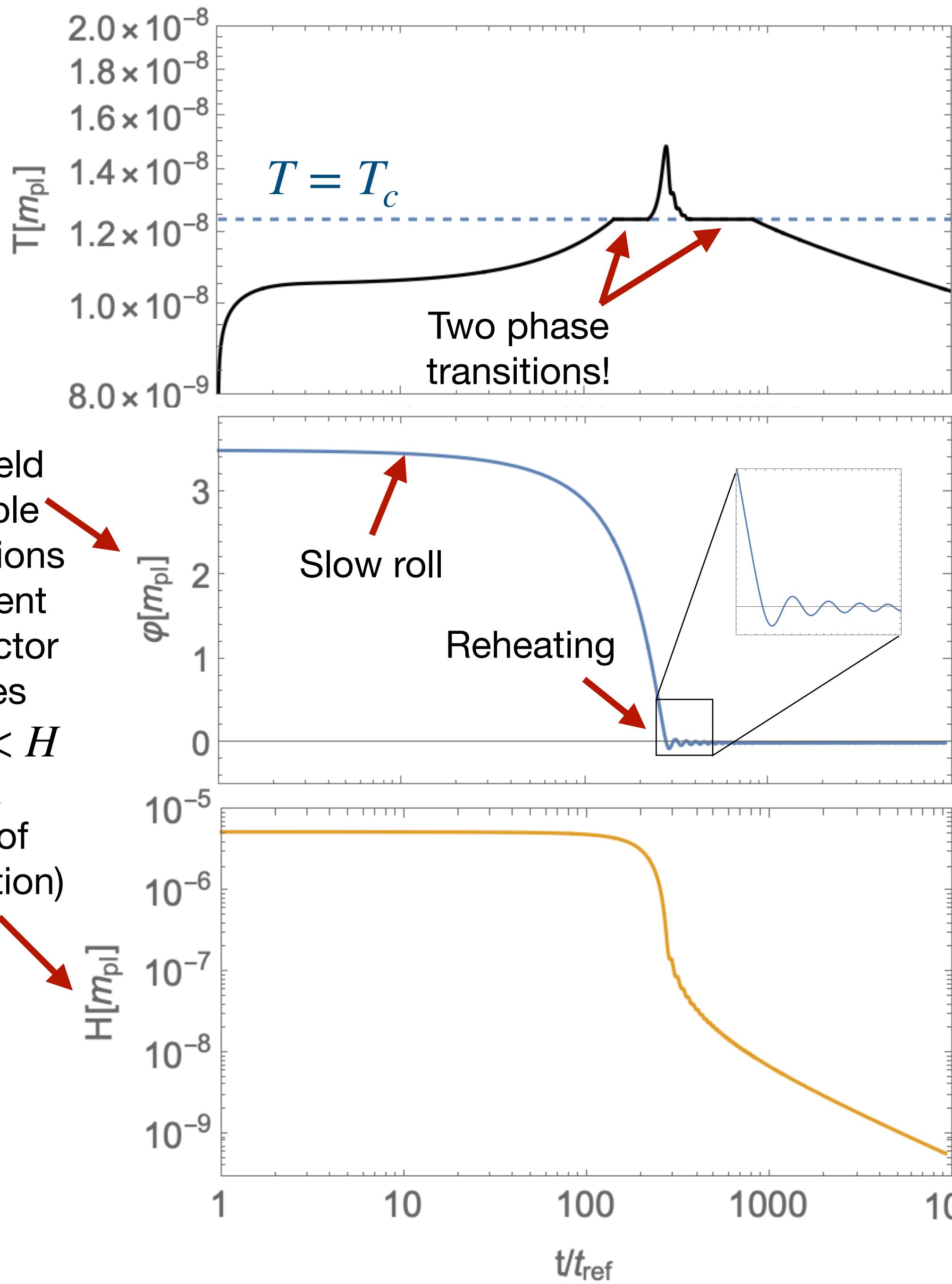
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BUT!

- $\Upsilon \ll H \Rightarrow$ Long inflaton domination \Rightarrow more significant GW dilution
- How and when SM is reheated?



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To be worked out!

Why large temperatures?

$$\ddot{\bar{\varphi}} + (3H + \Upsilon)\dot{\bar{\varphi}} + V_{\varphi} \simeq 0$$

$$\dot{e}_r + 3H(e_r + p_r) \simeq \Upsilon \dot{\bar{\varphi}}^2$$

Parametrize
 e_r, p_r by T

$$c_r(T) \dot{T} + 3H[e_r(T) + p_r(T)] \simeq \Upsilon \dot{\bar{\varphi}}^2$$

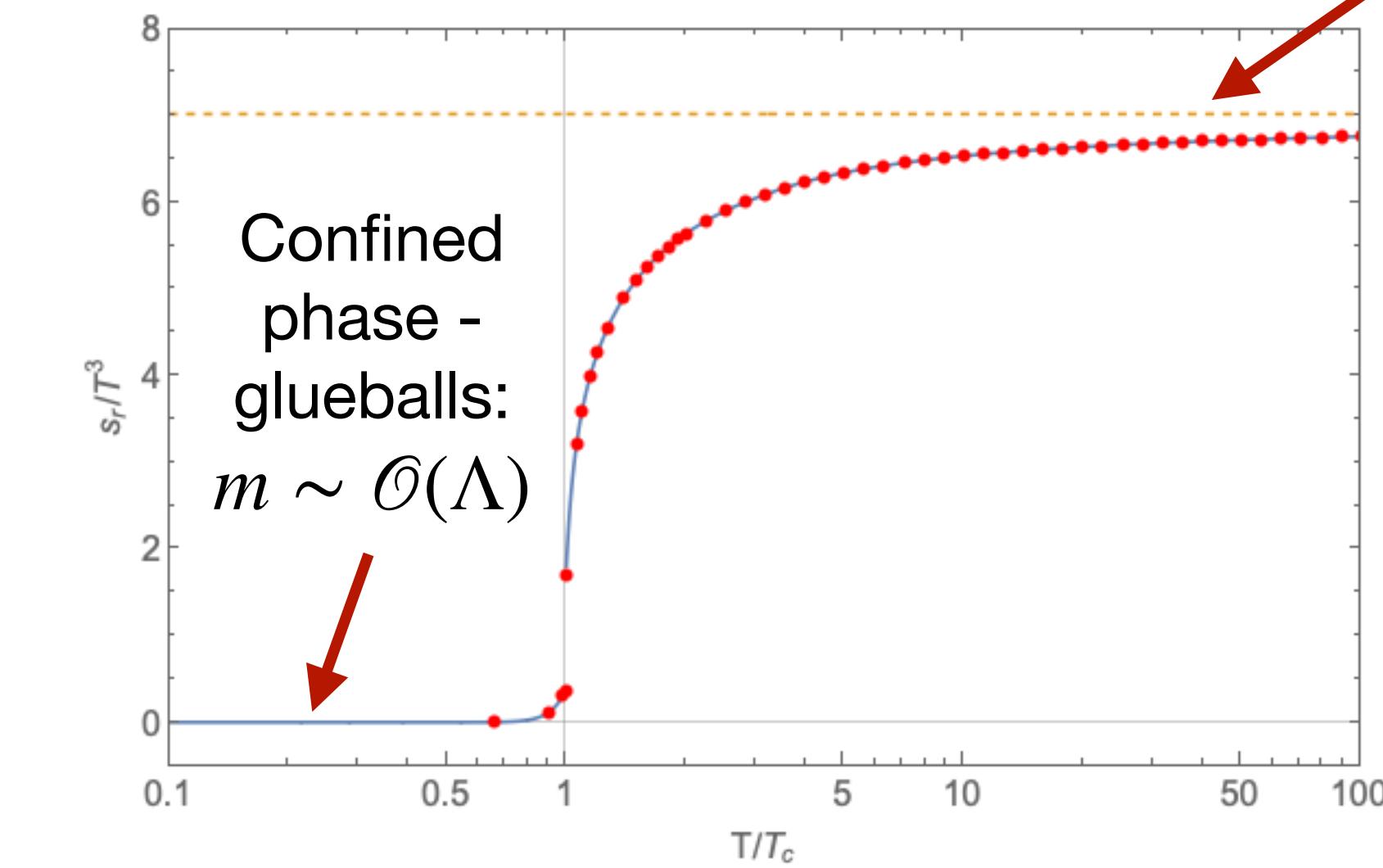
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Entropy density of pure $SU(3)$ measured on lattice
[Giusti, Pepe: 1612.00265]

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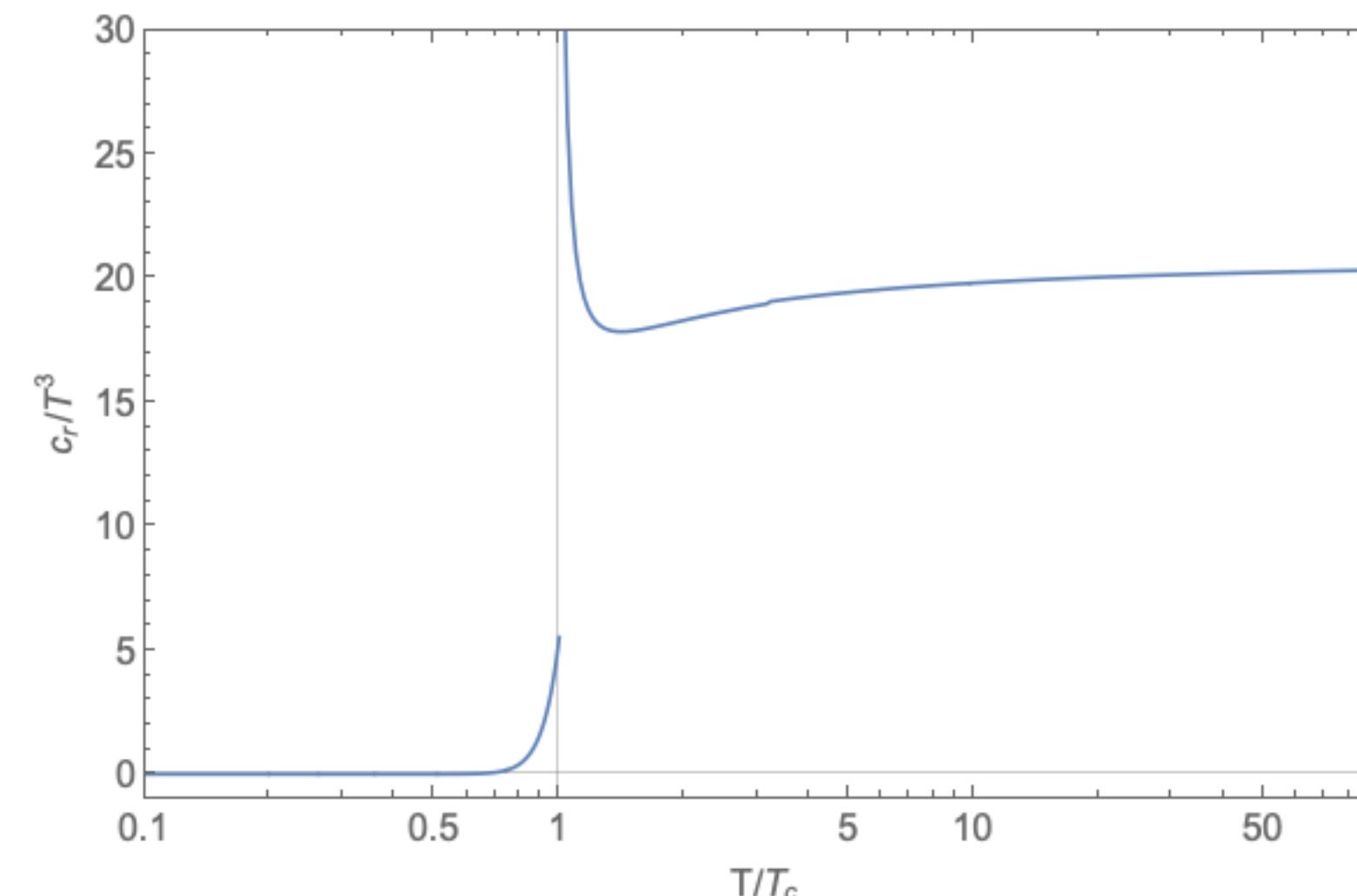
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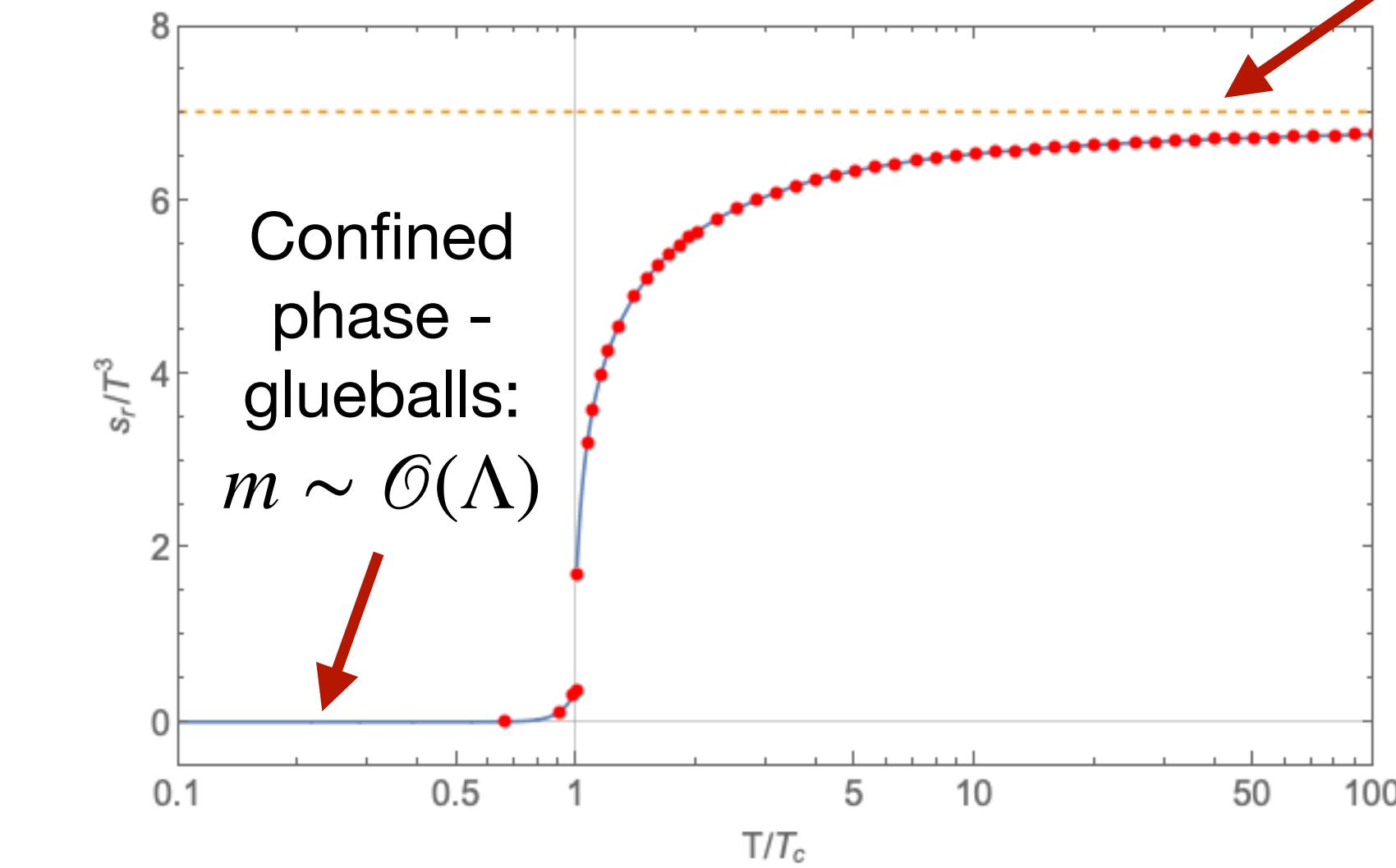
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Heat capacity:

$$c_r = \partial_T e_r$$



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Fit of lattice data for s_r ,
 $s_r = \partial_T p_r$,
 $e_r = Ts_r - p_r$

Weakly coupled radiation:

$$s_r = \frac{2\pi^2 g_*}{45} T^3$$

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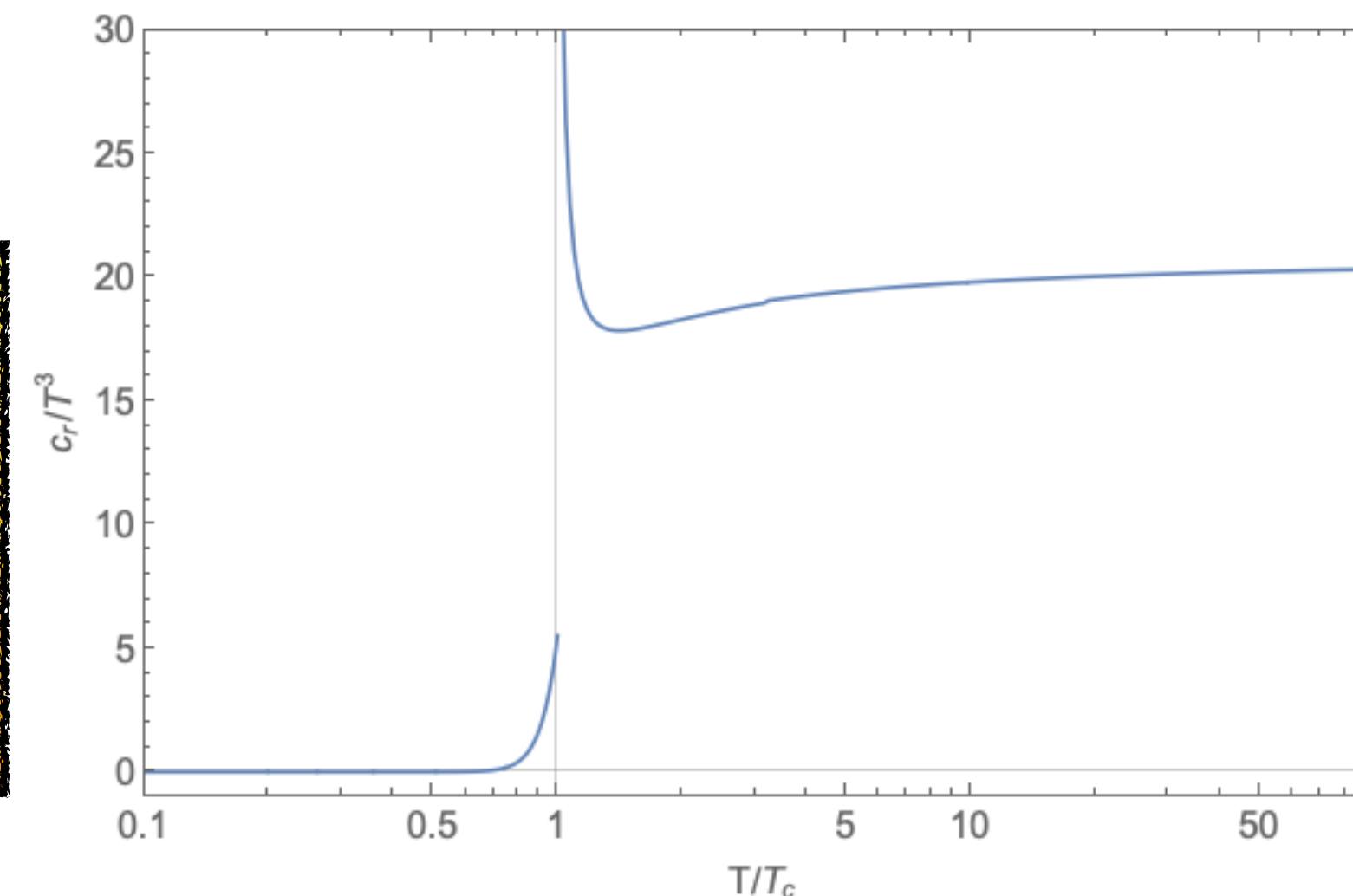
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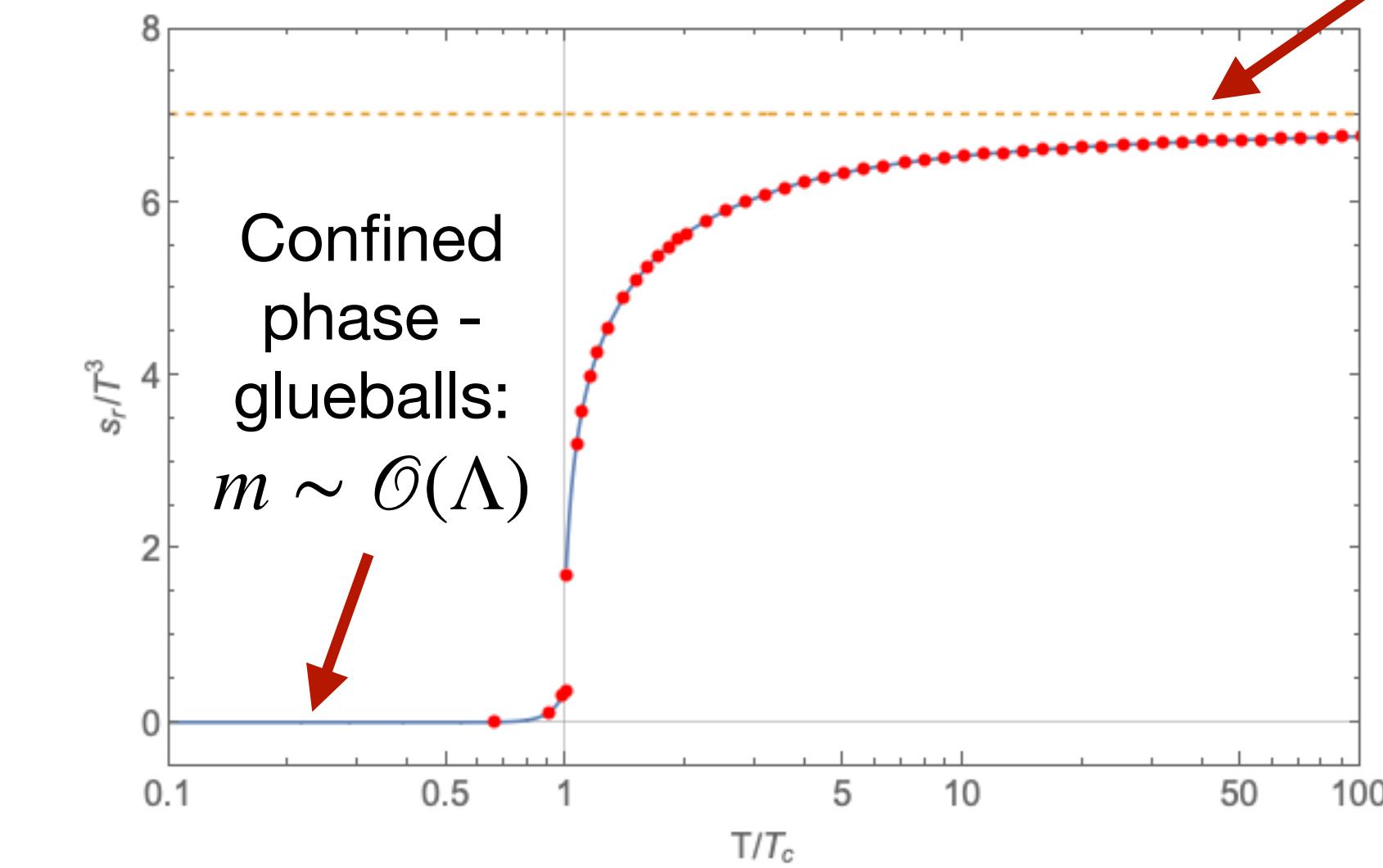
Heat capacity:

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c_r exponentially small well below $T_c \Rightarrow$ rapid temperature growth!



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