# Sphalerons vs black holes Results and progress update Aurora Grefsrud





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#### People involved

Kazuki Sakurai, UW, theory

Aurora Grefsrud, HVL, machine learning method and results

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## Goal: Investigate new machine learning methods to separate **sphaleron** and **black hole** events

Datasets produced using BlackMax/Herwig7/Delphes:

- 1. Sphalerons, 9TeV sphaleron energy
- 2. Black holes, 10 TeV minimum mass
  - a. 2, 4, 6 extra dimensions

Separate training and testing data sets.



## End-to-end classification using computer vision inspired techniques



Images

Resolution: 50x50

```
(R, G, B) = (EMCal, HCal, tracks)
```

Intensity ∝ Energy deposit

Process based on this paper:

https://arxiv.org/abs/1807.11916



#### Convolutional neural network

#### ResNet18.

Added circular convolution for panoramic images.

Takes in 50x50 = **2500 features** (the image).

Outputs a tensor of values representing the classes, and the maximum value gives the **predicted class**.

**Metric**: In the end we can calculate the % correctly classified in each class, the **accuracy**.

**Data augmentation**: Random flips across  $\eta = 0$  and random rotations in  $\varphi$ -direction, completely necessary for training



#### XGBoost

**XGBoost** – external open-source library (framework) based on the Gradient Boosting. In comparison to the regular Gradient Boosting algorithm, the XGBoost increases speed and performance significantly.







#### ResNet18 results

After training 5 models for 30 epochs:

- Mean accuracy: **90.7%**
- Standard deviation: 0.7%



#### XGBoost results

Input features:

- Five most energetic hits in
  - ECal
  - HCal
  - Tracks

After running the experiment 5 times:

- Mean accuracy: **86.1%**
- Standard deviation: 0.1%



After running the experiment 5 times:

- Mean accuracy: **91.4%**
- Standard deviation: 0.2%





#### Resnet18 results

After training 5 models for 30 epochs:

- Mean accuracy: **49.9%**
- Standard deviation: 0.6%

Struggling to separate the three black hole types.

Accuracy: 50.0%

SPH	0.879	0.106	0.007	0.008
Values n2_M10	0.121	0.571	0.115	0.193
Actual h	0.059	0.463	0.182	0.296
n6_M10	0.049	0.378	0.204	0.369
	SPH	n2_M10	n4_M10	n6_M10

**Predicted Values** 

#### XGBoost results

Input features:

- Five most energetic hits in
  - ECal
  - HCal
  - Tracks

After running the experiment 5 times:

- Mean accuracy: 46.5%
- Standard deviation: 0.2%



After running the experiment 5 times:

- Mean accuracy: **50.9%**
- Standard deviation: 0.2%

### Summary results

	Resnet18 low level	XGBoost low level	XGBoost high level
Binary classification	0.907 +- 0.007	0.861 +- 0.001	0.914 +- 0.002
Multi classification	0.499 +- 0.006	0.465 +- 0.002	0.509 +- 0.002

### Can we trust the CNN?

- Softmax(y) transforms the output vector  $y = [y_1, y_2, ...]$  to a new vector with values such that  $sum(y_i) = 1$  and  $0 < y_i < 1$ .
- Softmax(y) value interpretation:
  - Close to 1 very confident and right
  - Close to 0.5 very uncertain
  - Close to 0 very confident and wrong
- Majority are confidently classified right
- BH are much more likely than SPH to be confidently classified wrong



#### **Discussion points**

- How do we understand the predictions from the network.
  - Not probabilistic values.
    - Relation between softmax and how certain a prediction is?
  - Would we expect the same accuracy for 'real life scenario'?
    - Proposed statistical method using the softmax function to make "probabilities" from the output vector
      - Rafal and Kazuki have the details
    - We can make some experiments to simulate the effect of having just a few events available. How many do we need to make conclusions?

#### Paper progress

- Paper draft has been started
- Results are in
- Just write it :)



### For a given size of signal events, observed at the LHC with a given integrated lumi, with what accuracy can we say Model-X is realised in nature?

 ML gives a "label" (α, β, γ, …) to each signal event. We can assign some number ("probability") to a possible Model (A, B, C, …) depending on the label.



• Using MC simulation, we can create a (normalised) "template" histograms for each model.



• For a given size of signal events, observed at the LHC with a given integrated lumi, we can create the same histogram.



• We compare the observed histogram with the template and calculate  $\chi^2 ==>$  p-value



• Those p-values give us the likelihood that those models are realised in nature. The likelihood is improved (gets smaller or larger) as the integrated luminosity increases.