

## Rhorry Gauld

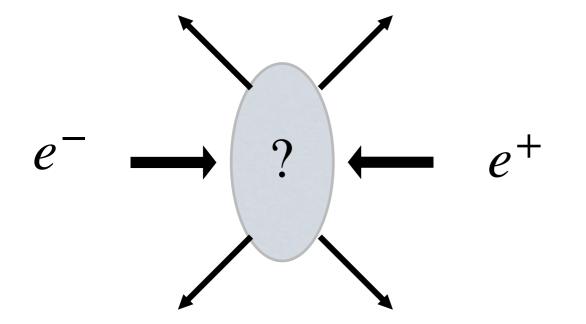
FCC-ee QCD Physics - jet flavour & tagging CERN (13/12/22)



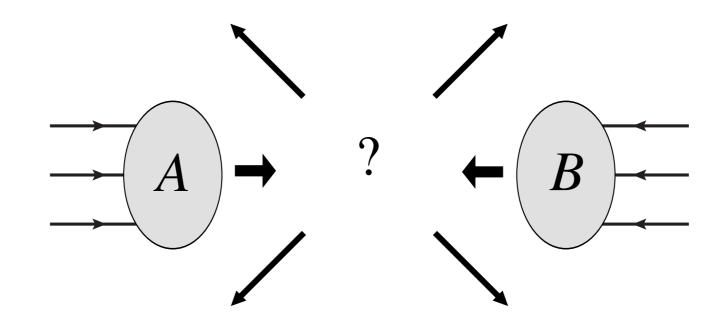
MAX-PLANCK-INSTITUT FÜR PHYSIK Overall goals of this talk:

- Discuss recent (theoretical) progress on jet flavour
  - ... inevitably that will revolve around LHC physics

• Implications/relevance of this work for the FCC-ee



Threshold	$\sqrt{s}$
Ζ	~ 91 GeV
WW	~ 160 GeV
ZH	~ 240 GeV
$t\overline{t}$	~ 365 GeV



 $AB \to f + X$ 

A, B may be e or p or  $\dots$ 

f composed of :

leptons hadrons photons missing  $E_T$ jets

. . .

$$d\sigma_{AB \to f+X}^{meas.}$$
 vs  $d\sigma_{AB \to f+X}^{theory}$ 

$$d\sigma^{\text{meas.}}_{AB \to f+X}$$
 vs  $d\sigma^{\text{theory}}_{AB \to f+X}$ 

Focussing on IRC (InfraRed and Collinear) safe observables:

- Those not impacted by collinear splitting(s) or emission(s) of soft particles
- ➡ Can (reliably) use fixed-order perturbation theory

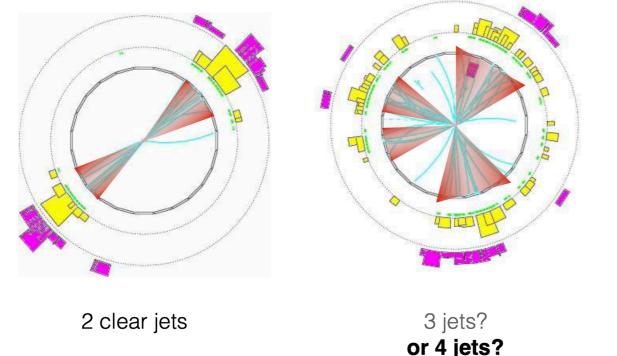
KLN theorem: (Kinoshita '62, Lee & Nauenberg '64)

• For such observables, a cancellation of IRC divergences between virtual and real emissions is ensured (order-by-order)

Comments:

• IRC unsafe observables can of course be defined, but then all orderresummation is required (e.g. PDF evolution, <u>obs. dependent</u> resummation)

# Jet algorithms



#### Experimentally (e.g. LHC):

- Apply an algorithm to particle flow objects (Kaons, Pions,...) (e.g. ATLAS arXiv: 1703.10485, CMS arXiv: 1706.04965, LHCb arXiv: 1310.8197)
- Reconstruct a hadronic jet (~collimation of hadronic radiation)

Theoretically:

• If IRC safe, can be applied to parton-level fixed-order predictions

 $d\sigma_{AB \to f+X}^{\text{meas.}}$  vs  $d\sigma_{AB \to f+X}^{\text{parton}}$ 5 (i.e. physics of the hard-scattering)

quark

K,

K<sup>+</sup>

(Cacciari, Salam, Soyez arXiv:0802.1189)

Initialise a list of particles (pseudo jets)

Introduce distance measures between particles (pseudo jets) and a Beam:

$$d_{ij} = \min\left(k_{Ti}^{2p}, k_{Tj}^{2p}\right) \frac{\Delta R_{ij}^2}{R^2}$$
$$d_{iB} = k_{Ti}^{2p}$$

$$\Delta R_{ij}^2 = (y_i - y_j)^2 + (\phi_i - \phi_j)^2$$

(Cacciari, Salam, Soyez arXiv:0802.1189)

Initialise a list of particles (pseudo jets)

Introduce distance measures between particles (pseudo jets) and a Beam:

$$d_{ij} = \min\left(k_{Ti}^{2p}, k_{Tj}^{2p}\right) \frac{\Delta R_{ij}^2}{R^2} \qquad \Delta R_{ij}^2 = (y_i - y_j)^2 + (\phi_i - \phi_j)^2$$
$$d_{iB} = k_{Ti}^{2p}$$

(Inclusive) clustering proceeds by identifying the min. distance:

- If it is  $d_{ij}$  combine particles ij (update list to contain combined particle)
- If it is  $d_{iB}$ , identify i as a jet and remove from list (or a  $d_{cut}$  value, excl.) [repeat until <u>list</u> is empty]

(Cacciari, Salam, Soyez arXiv:0802.1189)

Initialise a list of particles (pseudo jets)

Introduce distance measures between particles (pseudo jets) and a Beam:

$$d_{ij} = \min\left(k_{Ti}^{2p}, k_{Tj}^{2p}\right) \frac{\Delta R_{ij}^2}{R^2} \qquad \Delta R_{ij}^2 = (y_i - y_j)^2 + (\phi_i - \phi_j)^2 d_{iB} = k_{Ti}^{2p}$$

(Inclusive) clustering proceeds by identifying the min. distance:

- If it is  $d_{ij}$  combine particles ij (update list to contain combined particle)
- If it is  $d_{iB}$ , identify i as a jet and remove from list (or a  $d_{cut}$  value, excl.) [repeat until <u>list</u> is empty]

8

Special cases:  $k_T (p=1)$ Cambridge/Aachen (p=0) anti- $k_T (p=-1)$ 

In 
$$e^+e^-$$
, e.g. for  $p = 1$ :  

$$d_{ij} = \frac{2\min\left(E_i^2, E_j^2\right)}{Q^2} \left(1 - \cos\theta_{ij}\right)$$
Durham / kT

(Cacciari, Salam, Soyez arXiv:0802.1189)

Initialise a list of particles (pseudo jets)

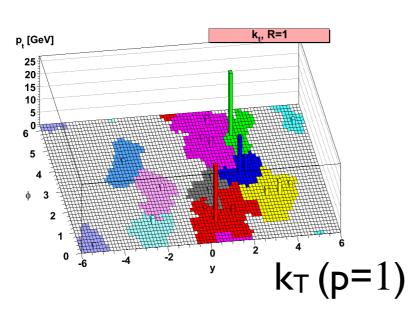
Introduce distance measures between particles (pseudo jets) and a Beam:

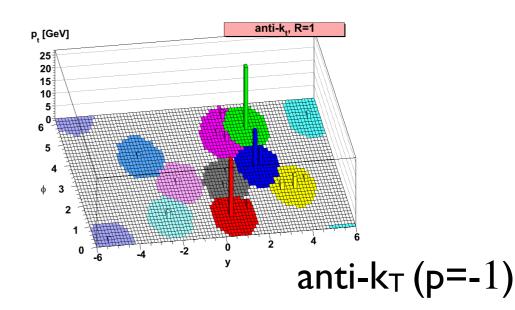
$$d_{ij} = \min\left(k_{Ti}^{2p}, k_{Tj}^{2p}\right) \frac{\Delta R_{ij}^2}{R^2} \qquad \Delta R_{ij}^2 = (y_i - y_j)^2 + (\phi_i - \phi_j)^2 d_{iB} = k_{Ti}^{2p}$$

(Inclusive) clustering proceeds by identifying the min. distance:

- If it is  $d_{ij}$  combine particles ij (update list to contain combined particle)
- If it is  $d_{iB}$ , identify i as a jet and remove from list (or a  $d_{cut}$  value, excl.) [repeat until list is empty] Nice geometrical properties

9

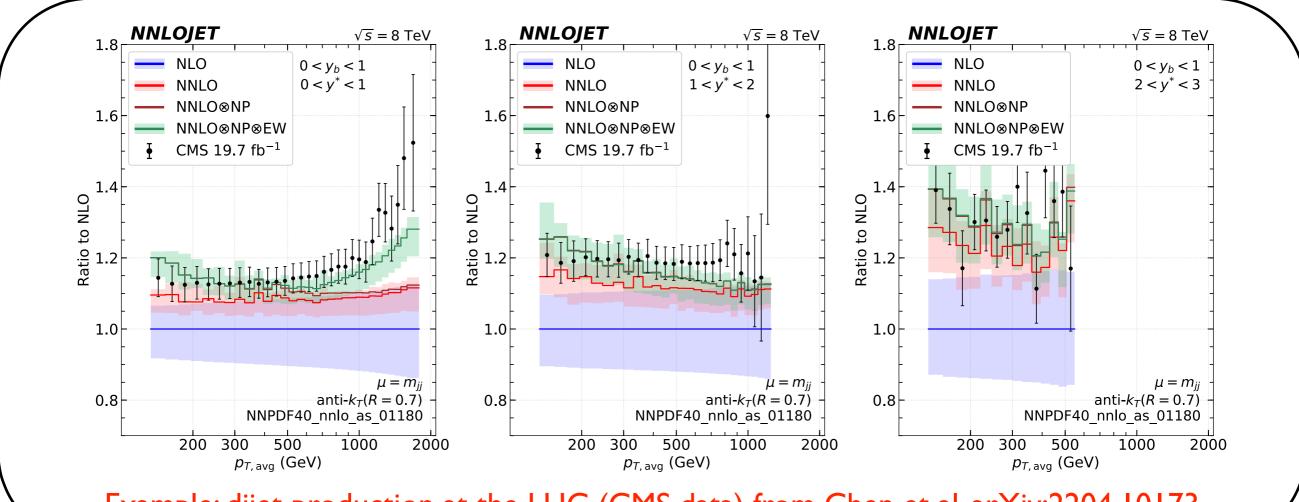




(Cacciari, Salam, Soyez arXiv:0802.1189)

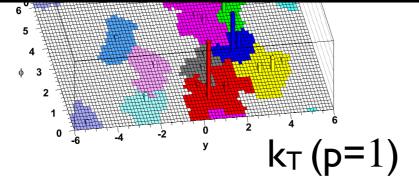
Initialise a list of particles (pseudo jets)

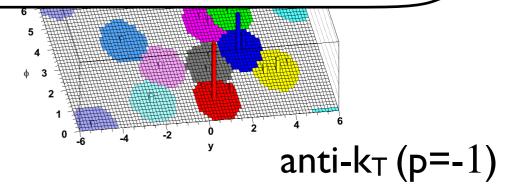
Introduce distance measures between particles (pseudo jets) and a Beam:



Example: dijet production at the LHC (CMS data) from Chen et al. arXiv:2204.10173

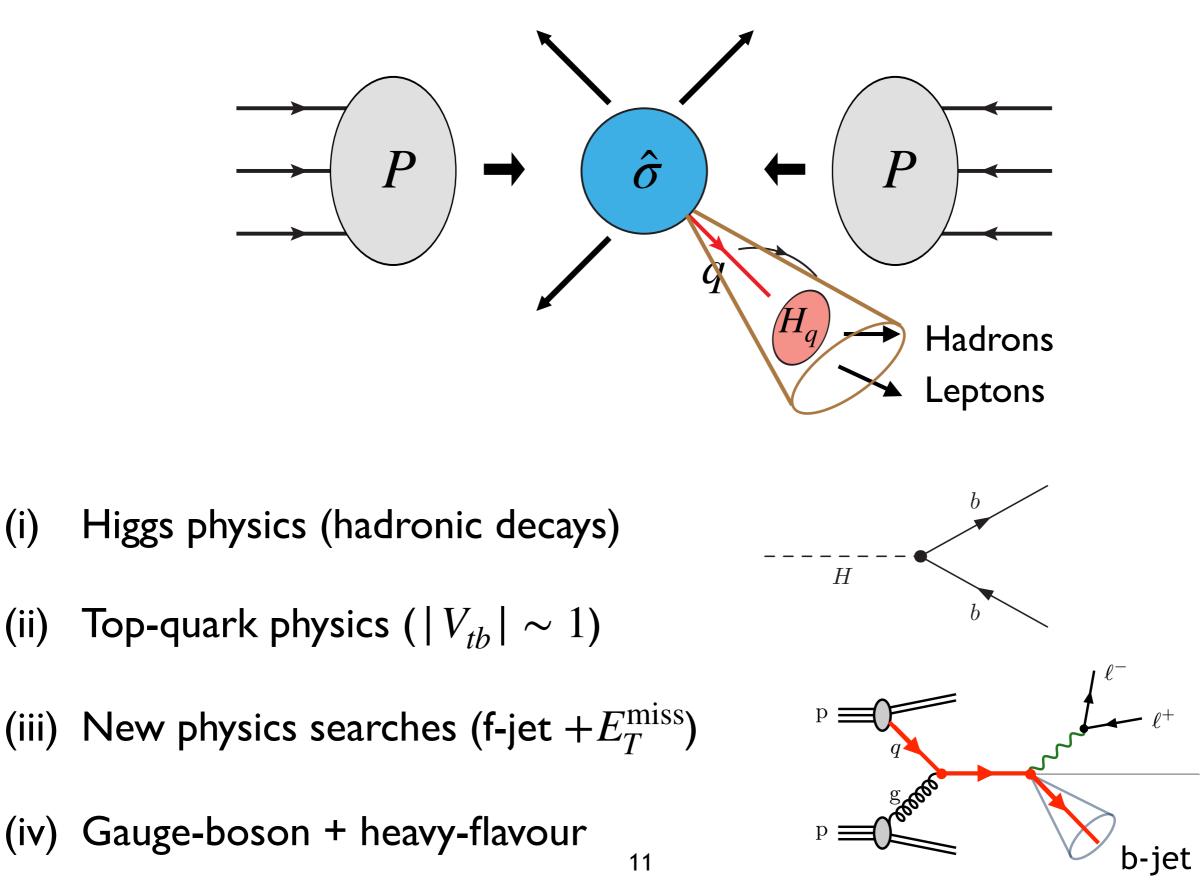
10





### Heavy-flavour jets at the LHC

(this has been the catalyst for progress on jet flavour)



**(i)** 

(ii)

(iv)

### Heavy-flavour jets at the LHC

Examples of experimental approaches of defining jet flavour: ATLAS arXiv:1504.07670, CMS arXiv:1712.07158, LHCb arXiv:1504.07670

Generally (at level of published data/truth level):

- i) First identify flavour-blind anti- $k_T$  jets in a fiducial region
- ii) Tag these jets with flavour by the presence of I or more D/B hadrons

 $\Delta R(j,D/B) < 0.5$ 

iii) [ATLAS/LHCb] Additionally make a pT requirement on the D/B hadrons

 $p_T^{D/B} > 5 \text{ GeV}$ 

## Heavy-flavour jets at the LHC

Examples of experimental approaches of defining jet flavour: ATLAS arXiv:1504.07670, CMS arXiv:1712.07158, LHCb arXiv:1504.07670

Generally (at level of published data/truth level):

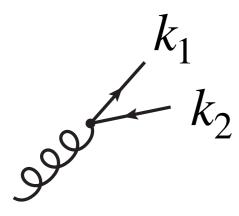
- i) First identify flavour-blind anti-k $_{T}$  jets in a fiducial region
- ii) Tag these jets with flavour by the presence of I or more D/B hadrons

 $\Delta R(j,D/B) < 0.5$ 

iii) [ATLAS/LHCb] Additionally make a pT requirement on the D/B hadrons

$$p_T^{D/B} > 5 \text{ GeV}$$

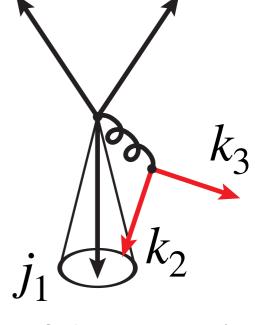
Many IRC problems...



the 'even tag'



collinear 'cutout'



soft 'pollution'

#### An elegant solution (flavour $k_T$ algorithm)

(Banfi, Salam, Zanderighi hep-ph/0601139)

A flavour dependent jet algorithm (i.e. flavoured particle inputs)

I) Flavour number assignment:

 $q = +1, \qquad \bar{q} = -1$ 

2) Flavour dependent distance measures (and hence clusterings)

$$d_{ij} = \frac{\Delta y_{ij}^2 + \Delta \phi_{ij}^2}{R^2} \begin{cases} \max(k_{ti}, k_{tj})^{\alpha} \min(k_{ti}, k_{tj})^{2-\alpha} & \text{softer of } i, j \text{ is flavoured,} \\ \min(k_{ti}, k_{tj})^{\alpha} & \text{softer of } i, j \text{ is unflavoured.} \end{cases}$$

3) Rapidity-dependent Beam distances (differentiates soft vs. initial collinear)

$$d_{fB} = \max\left(p_{T,f}, p_T^B(y)\right)^{\alpha} \min\left(p_{T,f}, p_T^B(y)\right)^{2-\alpha}$$
$$p_T^B(y) = \sum_i p_{T,i} \left(\Theta(y_i - y) + \Theta(y - y_i)e^{y_i - y}\right)$$

Note: the  $e^+e^-$  version,  $p_T \to E$ ,  $\Delta R^2/R^2 \to 2(1 - \cos\theta)/Q^2$ 

## An elegant solution (flavour $k_T$ algorithm)

(Banfi, Salam, Zanderighi hep-ph/0601139)

A flavour dependent jet algorithm (i.e. flavoured particle inputs)

However... this algorithm has never been adopted by experiment:

- (1) Jet calibration / pileup subtraction better achieved with anti- $k_T$  jets (mainly a hadron collider issue)
- (2) Flavour information of inputs particles required (i.e. modified inputs) (modified inputs: D/B unstable, represented by secondary vertex SVs)
- (3) Systematics due to probabilistic flavour of SVs
   (every event will have many clustering histories / jet kinematics / flavour)

... Note, some issues less relevant in  $e^+e^-$  environment

i

Note: the  $e^+e^-$  version,  $p_T \to E$ ,  $\Delta R^2/R^2 \to 2(1 - \cos\theta)/Q^2$ 

## An elegant solution (flavour $k_T$ algorithm)

(Banfi, Salam, Zanderighi hep-ph/0601139)

A flavour dependent jet algorithm (i.e. flavoured particle inputs)

Lots of activity from LHC community on this topic:

- (i) Soft Drop grooming approach, Caletti et al. 2205.01109
- (ii) Winner-Takes-All approach, Caletti et al. 2205.01117
- (iii) Flavoured anti-k<sub>T</sub>, Czakon et al. 2205. | 1879
- (iv) Successive iterations of flavour- $k_T$  and anti- $k_T$ , Caletti et al. 2108.10024
- (v) Jet angularities & primary Lund jet plane, Fedkevych et al. 2202.05082

#### A dress of **flavour** to suit any jet

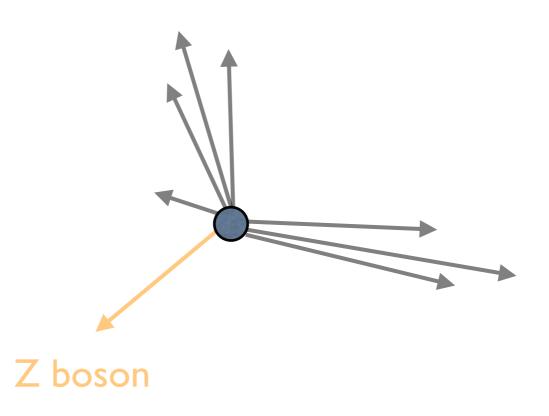
(RG, Huss, Stagnitto arXiv:2208.11138)

Note: the  $e^+e^-$  version,  $p_T \to E$ ,  $\Delta R^2/R^2 \to 2(1 - \cos\theta)/Q^2$ 

(RG, Huss, Stagnitto arXiv:2208.11138)

**Our motivation**: A well defined flavour algorithm applicable to anti-k<sub>T</sub> jets (actually, any jet)

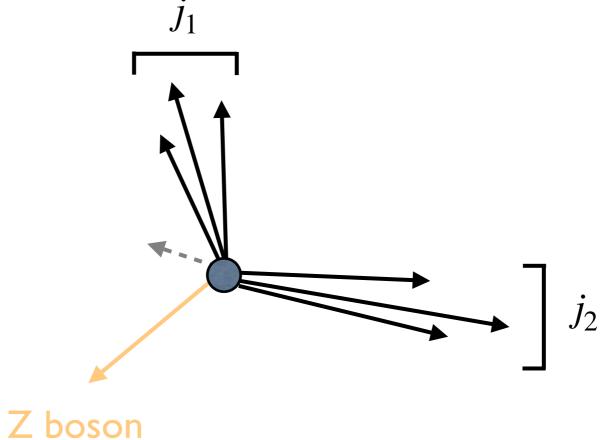
Toy event



(RG, Huss, Stagnitto arXiv:2208.11138)

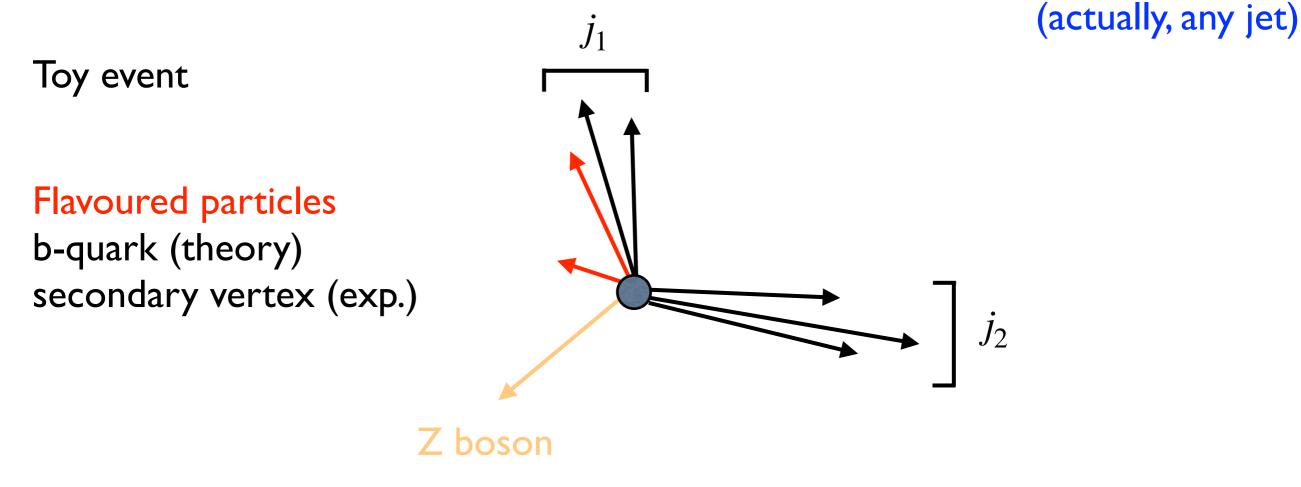
**Our motivation**: A well defined flavour algorithm applicable to anti- $k_T$  jets  $i_1$  (actually, any jet)

Toy event



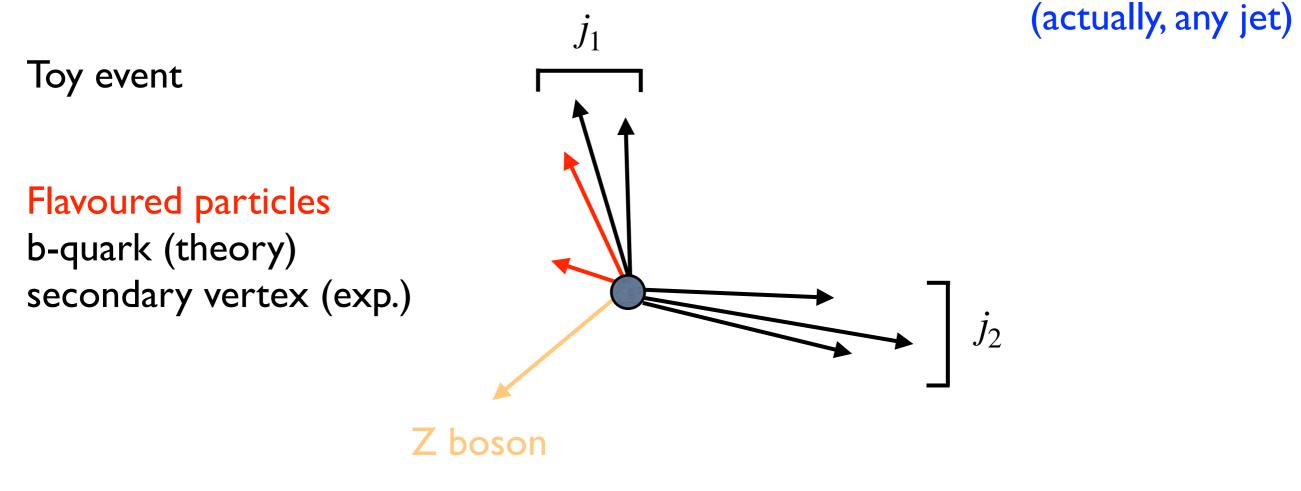
(RG, Huss, Stagnitto arXiv:2208.11138)

**Our motivation**: A well defined flavour algorithm applicable to anti- $k_T$  jets



(RG, Huss, Stagnitto arXiv:2208.11138)

**Our motivation**: A well defined flavour algorithm applicable to anti- $k_T$  jets



set of jets 
$$\{j_1, \ldots, j_m\}$$
 set of flavoured objects  $\{\hat{f}_1, \ldots, \hat{f}_n\}$ 

an assignment of the flavoured objects to these jets

### (collinear safe) flavoured objects

(RG, Huss, Stagnitto arXiv:2208.11138)

flavoured particles (quarks, hadrons) not collinear safe. Define new objects:

Non-technical version:

We dress the flavoured particles with collinear radiation (altering momenta but not flavour)  $\{f_1, \ldots, f_n\} \rightarrow \{\hat{f}_1, \ldots, \hat{f}_n\}$ flavoured particles  $\rightarrow$  flavoured 'clusters'

# (collinear safe) flavoured objects

(RG, Huss, Stagnitto arXiv:2208.11138)

flavoured particles (quarks, hadrons) not collinear safe. Define new objects:

- i) Initialise a <u>list</u> of all particles
- ii) Add to the list all flavoured particles, removing any overlap
- iii) Calculate the distances  $d_{ij} = \Delta R_{ij}^2$  between all particles

iv) If  $d_{ii}^{\min} > \Delta R_{cut}^2$  terminate the clustering. Otherwise:

- I. (i & j flavourless) replace i & j in the list with combined object ij
- 2. (i & j flavoured) remove flavoured objects i & j from the list
- 3. (i or j flavoured) combine i and j if the criterion:

$$\frac{\min(p_{T,i}, p_{T,j})}{p_{T,i} + p_{T,j}} > z_{\text{cut}} \left(\frac{\Delta R_{ij}}{R_{\text{cut}}}\right)^{\beta} \qquad \text{[Soft-drop]} \\ \text{(Larkoski et al. arXiv: 1402.2657)}$$

Otherwise remove flavourless of i/j from list [Repeat until <u>list</u> empty, or no flavoured particles left]

(RG, Huss, Stagnitto arXiv:2208.11138)

We now have have  $\{j_1, \ldots, j_m\}, \{\hat{f}_1, \ldots, \hat{f}_n\}$ 

We introduce an **Association criterion** for  $\hat{f}_a$  and  $j_b$  (some possibilities):

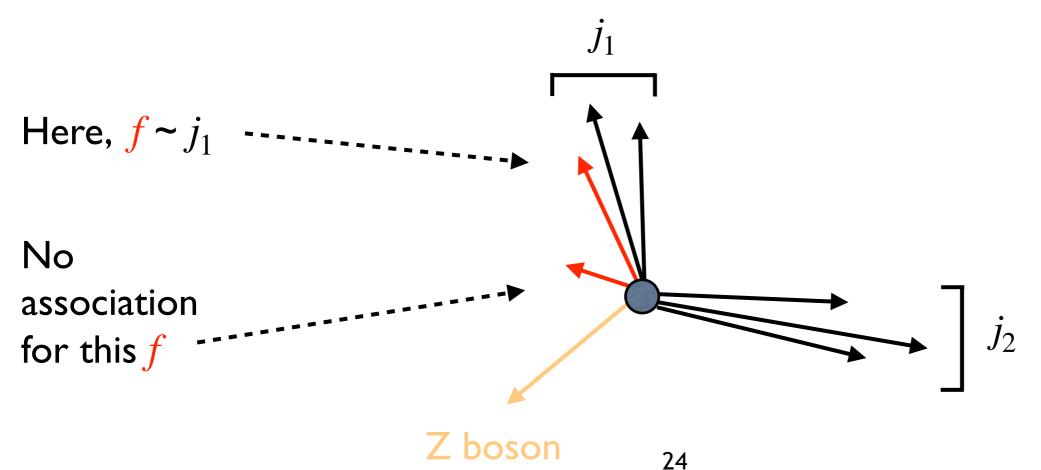
- the flavoured particle  $f_a$  is a constituent of jet  $j_b$  (applicable to unstable  $f_a$ )
- or  $\Delta R(\hat{f}_a, j_b) < R_{\text{tag}}$
- or Ghost association of  $\hat{f}_a$  (include direction of  $\hat{f}_a$  in anti-k<sub>T</sub> clustering)

(RG, Huss, Stagnitto arXiv:2208.11138)

We now have have  $\{j_1, \ldots, j_m\}, \{\hat{f}_1, \ldots, \hat{f}_n\}$ 

We introduce an **Association criterion** for  $\hat{f}_a$  and  $j_b$  (some possibilities):

- the flavoured particle  $f_a$  is a constituent of jet  $j_b$  (applicable to unstable  $f_a$ )
- or  $\Delta R(\hat{f}_a, j_b) < R_{\text{tag}}$
- or Ghost association of  $\hat{f}_a$  (include direction of  $\hat{f}_a$  in anti-k<sub>T</sub> clustering)



(RG, Huss, Stagnitto arXiv:2208.11138)

We now have have  $\{j_1, \ldots, j_m\}, \{\hat{f}_1, \ldots, \hat{f}_n\}$ 

We introduce an **Association criterion** for  $\hat{f}_a$  and  $j_b$  (some possibilities):

- the flavoured particle  $f_a$  is a constituent of jet  $j_b$  (applicable to unstable  $f_a$ )
- or  $\Delta R(\hat{f}_a, j_b) < R_{\text{tag}}$
- or Ghost association of  $\hat{f}_a$  (include direction of  $\hat{f}_a$  in anti-k<sub>T</sub> clustering)

#### Introduce a **Counting** or **Accumulation** for flavour:

- with charge info. (q vs  $\bar{q}$ ), then q = +1 and  $\bar{q} = -1$  (net flavour is sum)
- if one cannot (e.g. experiment),  $q = \bar{q} = 1$  (net flavour is sum modulo 2) [i.e. jets with even number of  $q_i + \bar{q}_j$  are NOT flavoured]

(RG, Huss, Stagnitto arXiv:2208.11138)

We now have have  $\{j_1, \ldots, j_m\}, \{\hat{f}_1, \ldots, \hat{f}_n\}$ , association, and counting rules

(RG, Huss, Stagnitto arXiv:2208.11138)

We now have have  $\{j_1, \ldots, j_m\}, \{\hat{f}_1, \ldots, \hat{f}_n\}$ , association, and counting rules

Dressing algorithm:

- Calculate a set of distances between the flavoured objects, jets and beam:
  - [ff]  $d_{ab}$  between all all flavoured objects  $\hat{f}_a$  and  $\hat{f}_b$ 
    - [fj]  $d_{ab}$  between  $\hat{f}_a$  and  $j_b$  ONLY if there is an association
    - [fB]  $d_{aB}$  for all  $\hat{f}_a$  without a jet association

(RG, Huss, Stagnitto arXiv:2208.11138)

We now have have  $\{j_1, \ldots, j_m\}, \{\hat{f}_1, \ldots, \hat{f}_n\}$ , association, and counting rules

Dressing algorithm:

- Calculate a set of distances between the flavoured objects, jets and beam:
  - [ff]  $d_{ab}$  between all all flavoured objects  $\hat{f}_a$  and  $\hat{f}_b$ 
    - [fj]  $d_{ab}$  between  $\hat{f}_a$  and  $j_b$  ONLY if there is an association
    - [fB]  $d_{aB}$  for all  $\hat{f}_a$  without a jet association
- Find the minimum distance of all entries in the list
  - if it is an [fj] assign  $\hat{f}_a$  to  $j_b$  (removing entries involving  $\hat{f}_a$  from list)
  - otherwise just remove  $\hat{f}_a$  [fB] or  $\hat{f}_a$  and  $\hat{f}_b$  [ff] from the list

[repeat until list empty]

• The flavour of each jet is then just the accumulation of its flavour

(RG, Huss, Stagnitto arXiv:2208.11138)

We now have have  $\{j_1, \ldots, j_m\}, \{\hat{f}_1, \ldots, \hat{f}_n\}$ , association, and counting rules

Dressing algorithm.

Here we use the distance measures proposed in flavour-k<sub>T</sub> (Banfi, Salam, Zanderighi hep-ph/0601139)

$$d_{ab} = \Delta R_{ab}^2 \max\left(p_{T,a}^{\alpha}, p_{T,b}^{\alpha}\right) \min\left(p_{T,a}^{2-\alpha}, p_{T,b}^{2-\alpha}\right)$$

$$d_{aB\pm} = \max(p_{T,a}^{\alpha}, p_{T,B_{\pm}}^{\alpha}(y_{\hat{f}_{a}})) \min(p_{T,a}^{2-\alpha}, p_{T,B_{\pm}}^{2-\alpha}(y_{\hat{f}_{a}}))$$

Note: the  $e^+e^-$  version,  $p_T \to E$ ,  $\Delta R^2/R^2 \to 2(1 - \cos\theta)/Q^2$ 

Another viable option is Jade: (directly suitable for  $e^+e^-$ )

$$d_{ab} = 2p_a \cdot p_b$$

• The flavour of each jet is then just the accumulation of its flavour

(RG, Huss, Stagnitto arXiv:2208.11138)

Consider the process  $e^+e^- \rightarrow 2$  jets at fixed-order using k<sub>T</sub> algorithm

Look at 'bad' events (i.e. where we do not find 2 flavoured jets,  $e^+e^- \rightarrow q\bar{q}$ )

The 'bad' cross-section should vanish in the  $y_3 \rightarrow 0$  limit  $(y_3 \text{ defines the distance measure at which the event goes from 2 jet <math>\rightarrow$  3 jet)  $(y_3 \rightarrow 0 \text{ corresponds to limit of extremely soft and/or collinear emissions})$ 

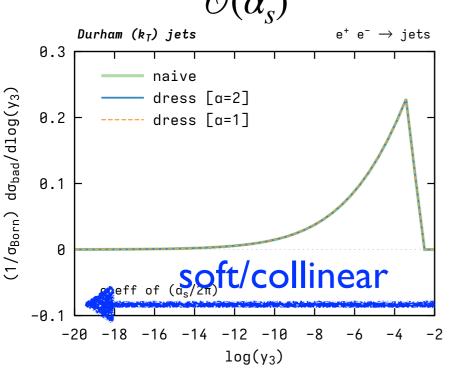
These tests originally proposed/shown in the original flavour- $k_T$  study (Banfi, Salam, Zanderighi hep-ph/0601139)

(RG, Huss, Stagnitto arXiv:2208.11138)

Consider the process  $e^+e^- \rightarrow 2$  jets at fixed-order using k<sub>T</sub> algorithm

Look at 'bad' events (i.e. where we do not find 2 flavoured jets,  $e^+e^- \rightarrow q\bar{q}$ )

The 'bad' cross-section should vanish in the  $y_3 \rightarrow 0$  limit ( $y_3$  defines the distance measure at which the event goes from 2 jet  $\rightarrow$  3 jet) ( $y_3 \rightarrow 0$  corresponds to limit of extremely soft and/or collinear emissions)  $O(\alpha_s)$ 



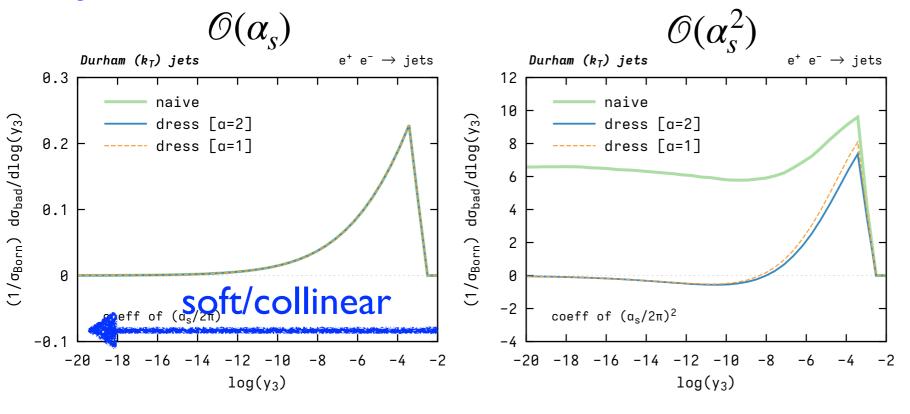
These tests originally proposed/shown in the original flavour-k<sub>T</sub> study

(RG, Huss, Stagnitto arXiv:2208.11138)

Consider the process  $e^+e^- \rightarrow 2$  jets at fixed-order using k<sub>T</sub> algorithm

Look at 'bad' events (i.e. where we do not find 2 flavoured jets,  $e^+e^- \rightarrow q\bar{q}$ )

The 'bad' cross-section should vanish in the  $y_3 \rightarrow 0$  limit ( $y_3$  defines the distance measure at which the event goes from 2 jet  $\rightarrow$  3 jet) ( $y_3 \rightarrow 0$  corresponds to limit of extremely soft and/or collinear emissions)



These tests originally proposed/shown in the original flavour-k<sub>T</sub> study

32

(RG, Huss, Stagnitto arXiv:2208.11138)

Consider the process  $e^+e^- \rightarrow 2$  jets at fixed-order using k<sub>T</sub> algorithm

Look at 'bad' events (i.e. where we do not find 2 flavoured jets,  $e^+e^- \rightarrow q\bar{q}$ )

The 'bad' cross-section should vanish in the  $y_3 \rightarrow 0$  limit  $(y_3 \text{ defines the distance measure at which the event goes from 2 jet <math>\rightarrow$  3 jet)  $(y_3 \rightarrow 0 \text{ corresponds to limit of extremely soft and/or collinear emissions})$  $\mathcal{O}(\alpha_{\rm s}^3)$  $\mathcal{O}(\alpha_s^2)$  $\mathcal{O}(\alpha_{\rm s})$ Durham (k<sub>T</sub>) jets Durham (k<sub>T</sub>) jets Durham  $(k_T)$  jets  $e^+ e^- \rightarrow jets$  $e^+ e^- \rightarrow jets$ e⁺ e⁻ → jets 0.3 2000 12 naive naive 10  $d\sigma_{bad}/dlog(y_3)$ (1/o<sub>Born</sub>) do<sub>bad</sub>/dlog(y<sub>3</sub>) 1500 dress [a=2] dress [a=2] 0.2 dress [a=1] 8 dress [a=1] 1000 0.1 500 (1/σ<sub>Born</sub>) ( 2 0 0 naive 'collinear -500 dress [a=2] -2 coeff of  $(a_s/2\pi)^2$ coeff of  $(a_s/2\pi)^3$ dress -1000 -0.1 -20 -18 -16 -14 -12 -10 -6 -4 -20 -18 -16 -14 -12 -10 -8 -2 -20 -18 -16 -14 -12 -10 -2 -8  $log(y_3)$  $log(y_3)$  $log(y_3)$ 

These tests originally proposed/shown in the original flavour- $k_T$  study

 $(1/\sigma_{Born}) d\sigma_{bad}/dlog(y_3)$ 

I have presented a new algorithm for assigning flavour to jets:

- The approach is IRC safe (at least until N4LO, maybe more)
- It can be applied to any set of (IRC safe) jets
   (and can be applied in any collider environment pp, e<sup>+</sup>e<sup>-</sup>, ... etc.)
- It does **not** require flavoured particles to be part of the initial jet reco.
   (i.e. it can be applied to heavy flavour tagging at an experiment!)
- The algorithm can be applied to general processes with flavoured jets (e.g. run the algorithm for u,d,s,c,b flavours, or for q flavour)

Obvious use cases (where precise theory critical):  $A_{fb}^b$ ,  $A_{fb}^c$ , ...

continued...

- Experimental detectors are not ideal (Particle Identification not perfect) (obviously critical here, when tracking flavour quantum numbers)
- There are many interesting measurements of the IRC-unsafe contr.
   (e.g. double-tagged jet events, critical for PS tunes and fragmentation)

Thank you!

(more pp results in backups)

# Whiteboard

# Whiteboard

# Tests of the algorithm (pp)

(RG, Huss, Stagnitto arXiv:2208.11138)

Can also perform all-order 'sensitivity' tests using Parton Shower framework

In this case study, also use resolution variable to probe IRC sensitive regions (here we study the behaviour, rather than the bad cross-section vanishing)

Here consider dijet events (exclusive  $k_T$  algorithm) with  $E_T \ge 1$  TeV

We use the resolution variable:  $y_3^{k_T} = d_3^{k_T}/(E_{T,1} + E_{T,2})$ (Buonocore et al. arXiv:2201.11519)

These tests originally proposed/shown in the original flavour- $k_T$  study

# Tests of the algorithm (pp)

(RG, Huss, Stagnitto arXiv:2208.11138)

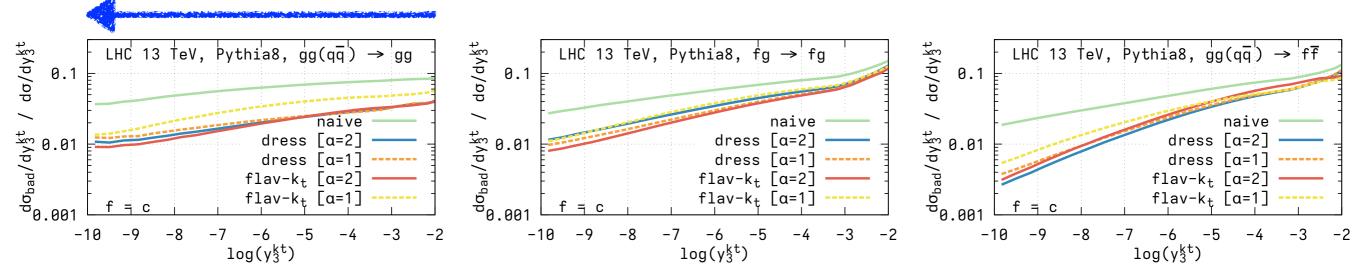
Can also perform all-order 'sensitivity' tests using Parton Shower framework

In this case study, also use resolution variable to probe IRC sensitive regions (here we study the behaviour, rather than the bad cross-section vanishing)

Here consider dijet events (exclusive  $k_T$  algorithm) with  $E_T \ge 1$  TeV

We use the resolution variable:  $y_3^{k_T} = d_3^{k_T}/(E_{T,1} + E_{T,2})$ (Buonocore et al. arXiv:2201.11519)

soft/collinear



These tests originally proposed/shown in the original flavour-k<sub>T</sub> study

# Application of the algorithm (pp)

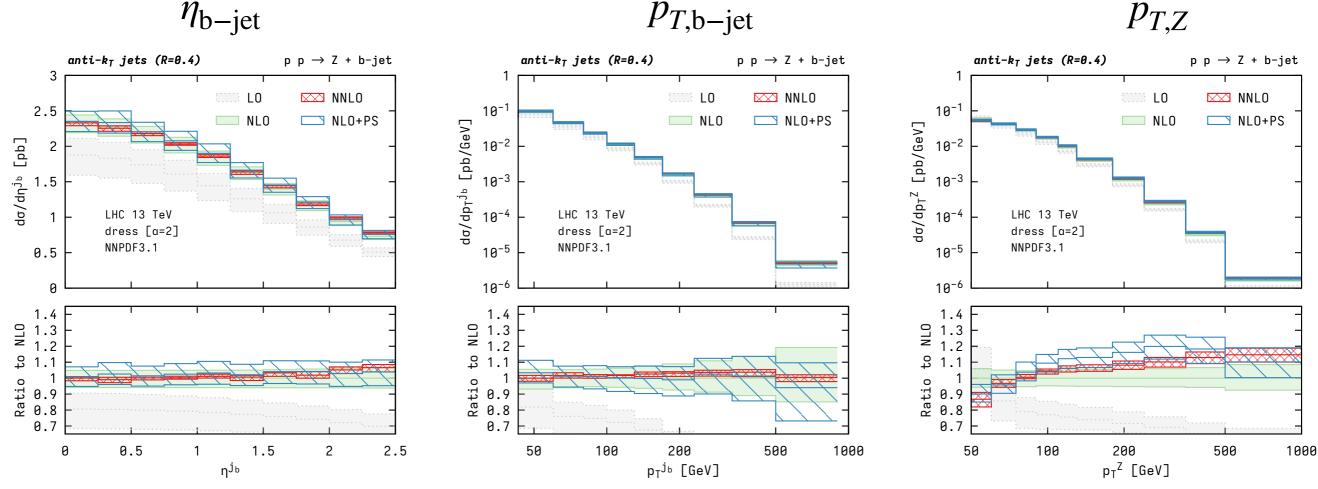
(RG, Huss, Stagnitto arXiv:2208.11138)

Now consider the process  $pp \rightarrow Z + b - jet$  in Fiducial region (13 TeV, CMS-like)

(N)NLO at fixed-order w/ NNLOJET, RG et al. arXiv:2005.03016

NLO+PS Hadron-level with aMC@NLO interfaced to Pythia8

Tests sensitivity to: all-order effects, hadronisation (also FO IRC safety in pp)



40

# Massive calculation (IRC unsafe def.)

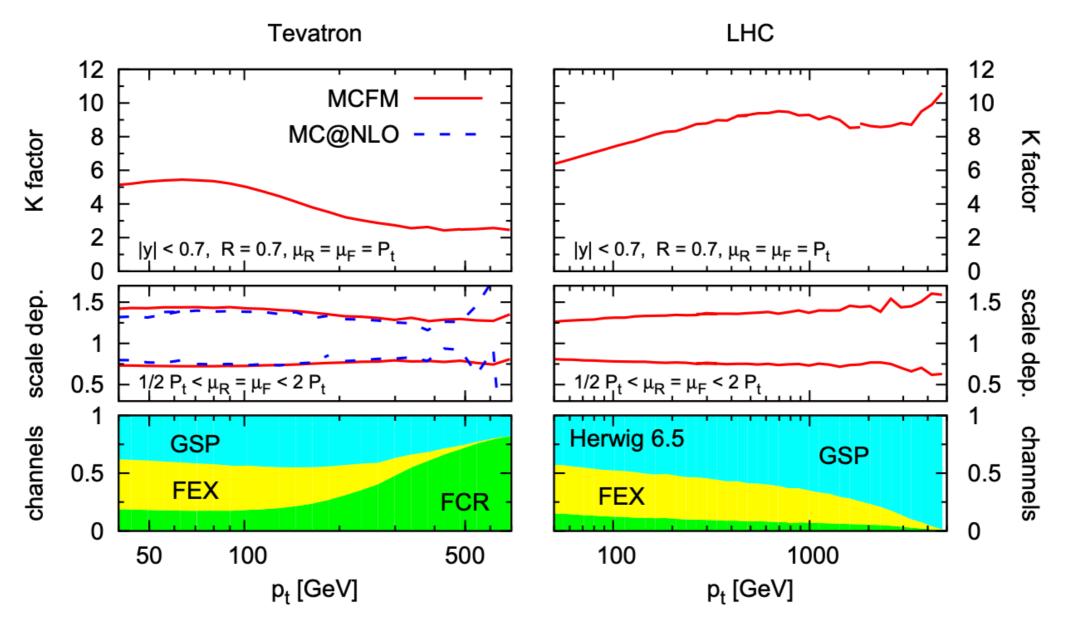


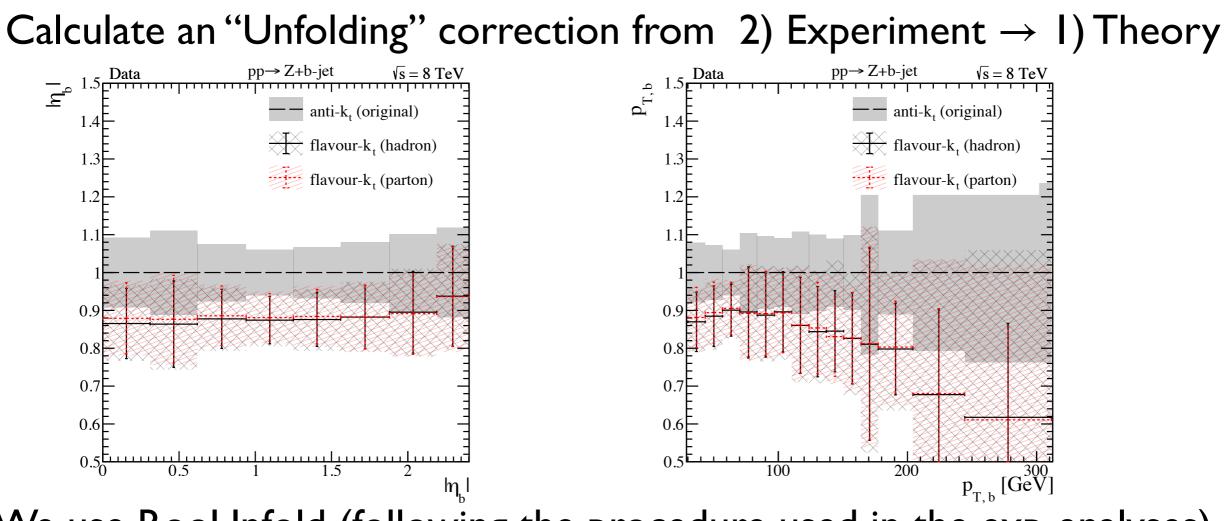
Figure 2: Top: K-factor for inclusive b-jet spectrum as computed with MCFM [10], clustering particles into jets using the  $k_t$  jet-algorithm [9] with R=0.7, and selecting jets in the central rapidity region (|y| < 0.7). Middle: scale dependence obtained by simultaneously varying the renormalisation and factorisation scales by a factor two around  $p_t$ , the transverse momentum of the hardest jet in the event. Bottom: breakdown of the Herwig [11] inclusive b-jet spectrum into the three major hard underlying channels cross sections (for simplicity the small  $bb \rightarrow bb$  is not shown).

#### arXiv:0704.2999 BSZ

# Unfolding for Z+b-jet

How to account for theory-experiment mismatch?

Use an NLO + Parton Shower prediction (which can evaluate both) I) Prediction at parton-level, flavour- $k_T$  algorithm **(Theory)** 2) Prediction at hadron-level, anti- $k_T$  algorithm **(Experiment)** 



We use RooUnfold (following the procedure used in the exp. analyses)