

Long-Lived Particles from Exotic Higgs Decays

Master thesis project

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FCC-ee Physics and Performance Meeting

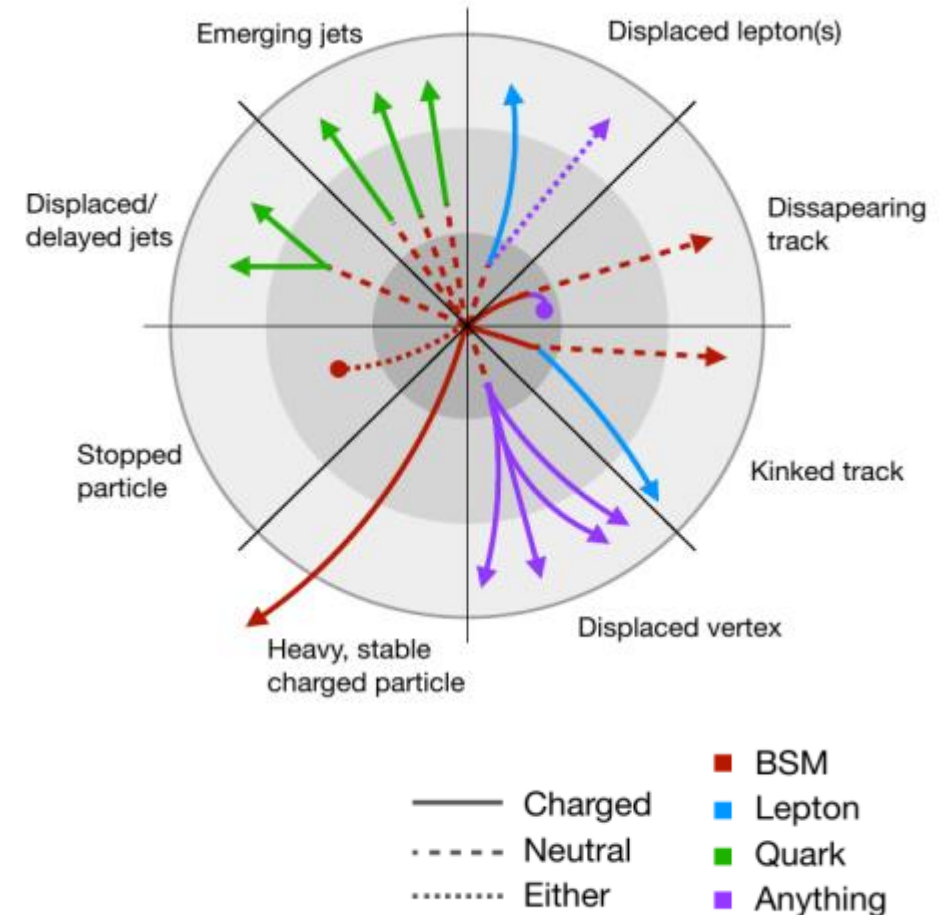
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Introduction

- The LLP group is working with 3 benchmark cases: LL Heavy Neutral Leptons (HNLs), LL Axion-Like Particles (ALPs) and Exotic Higgs Decays to LLPs ([arXiv:2203.05502](https://arxiv.org/abs/2203.05502))
- Today: Exotic Higgs Decays to LLPs
- Different phenomenological models, e.g SM + s, SM + a, SM + ν , SM + fermion ...
- The new BSM particles can decay promptly, be meta-stable, or be stable \rightarrow possibility for detectable LLPs with different signatures
- **Aim of study:** Simulate and analyse **long-lived scalars** from exotic Higgs decays within the FCCAnalysis framework



Long-lived scalars from the Higgs boson

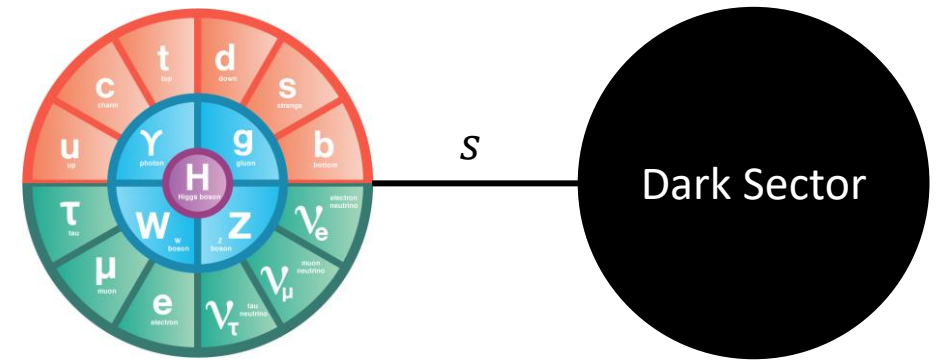
- Our considered model: SM + scalar
- Motivated by Dark Matter: The new scalar is the portal between the SM and a dark sector
- New real scalar field S couples to the Higgs field H at renormalizable level

$$\mathcal{L} = \mathcal{L}_{\text{kin}} + \frac{\mu_s^2}{2} S^2 - \frac{\lambda_s}{4!} S^4 - \frac{\kappa}{2} S^2 |H|^2 + \mu^2 |H|^2 - \lambda |H|^4.$$

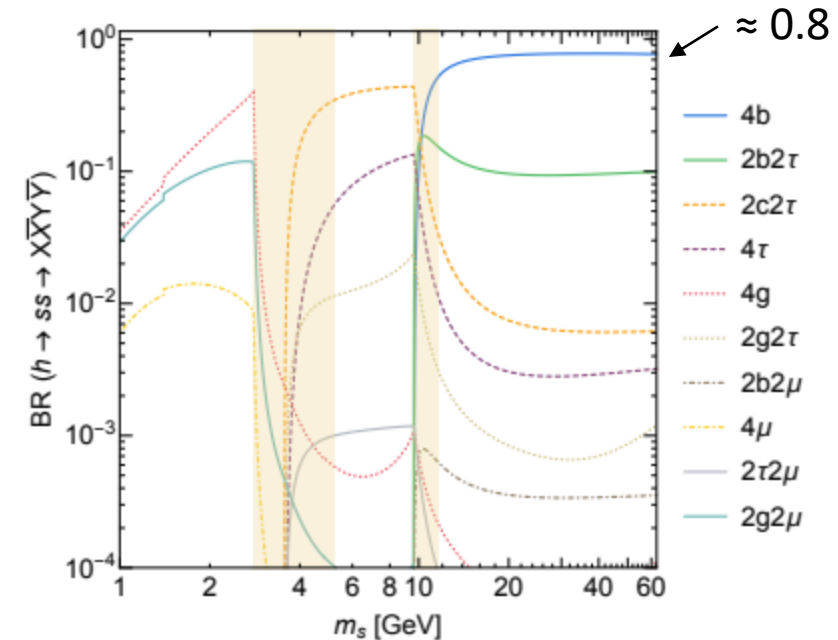
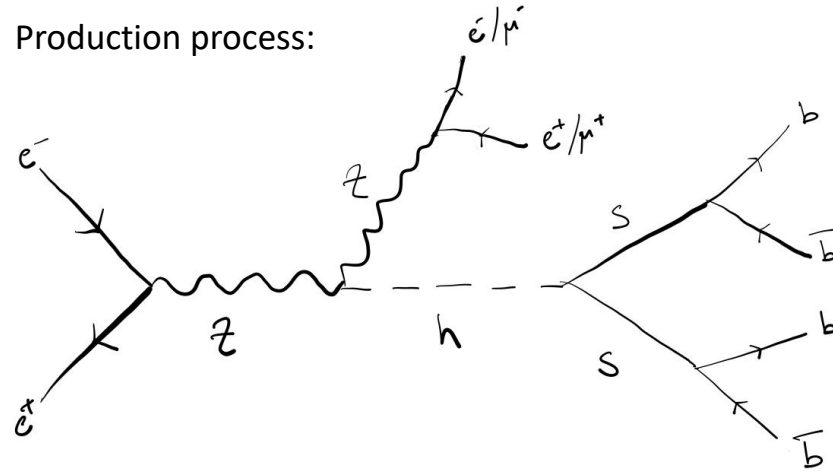
- If both the fields H and S have non-zero vevs, the Higgs boson h and the scalar s mix with a mixing angle θ
- After symmetry breaking and mixing the scalar inherits its couplings to the SM particles from the Higgs

$$\Gamma(s \rightarrow X_{\text{SM}} X_{\text{SM}}) = \sin^2 \theta \Gamma(h(m_s) \rightarrow X_{\text{SM}} X_{\text{SM}})$$

- For sufficiently small mixing, the scalar can be long-lived
 - $c\tau \sim \text{meters}$ if $\theta < 1\text{e-}6$



Possible production and decay at FCC-ee

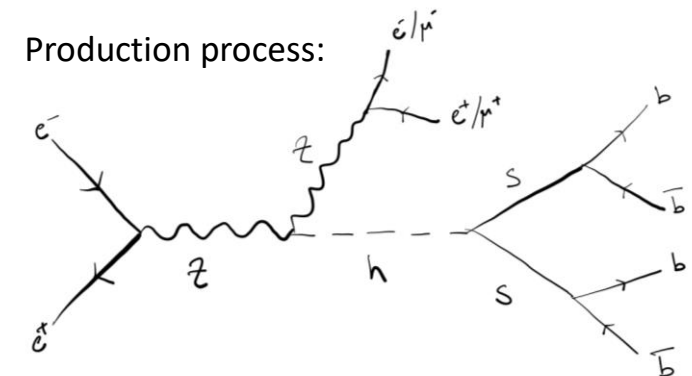


[arXiv:1312.4992](https://arxiv.org/abs/1312.4992)

- Higgs produced at ZH-stage of FCC-ee: $\sqrt{s} = 240 \text{ GeV}$
- **Signal process:** $e^+e^- \rightarrow Z h$ with $Z \rightarrow e^+e^-$ or $\mu^+\mu^-$ and $h \rightarrow ss \rightarrow b\bar{b}b\bar{b}$
- **Experimental signature:** - Z boson reconstructed from e^+e^- or $\mu^+\mu^-$ pair
- At least 1 Displaced Vertex (DV)

Simulation of long-lived scalars

- The scalars can be simulated with the [MadGraph5 HAHM model](#) ([arXiv:1312.4992](#), [arXiv:1412.0018](#))
- The HAHM model includes both a dark photon and a dark scalar
- It has four input parameters:
 - m_{ZD} : mass of dark photon
 - m_{HS} input : mass of scalar
 - κ : the Higgs-scalar coupling constant
 - ϵ : kinetic mixing, coupling of the dark photon
- Following the procedure of [LHC WG twiki](#)
 - Decouple the dark photon by setting $\epsilon = 1e-10$ and $m_{ZD} = 1000$ GeV
 - Set m_{HS} and κ
 - Generate $e^+ e^- \rightarrow z \rightarrow z h, z \rightarrow l^+ l^-, (h \rightarrow h_s h_s, h_s \rightarrow b \bar{b}, h_s \rightarrow b \bar{b})$
 - Set width of scalar to achieve long lifetime
 - Rescale to correct cross section



Model parameters

- Width of scalar and branching ratios for s from [arXiv:1312.4992](https://arxiv.org/abs/1312.4992)

$$\Gamma_s = \frac{\Gamma(s \rightarrow b\bar{b})}{BR(s \rightarrow b\bar{b})} = \sin^2\theta \frac{N_c m_s^2 m_b^2}{0.9 \times 8\pi v^2} \left(1 - \frac{m_b^2}{m_s^2}\right)^{3/2}$$

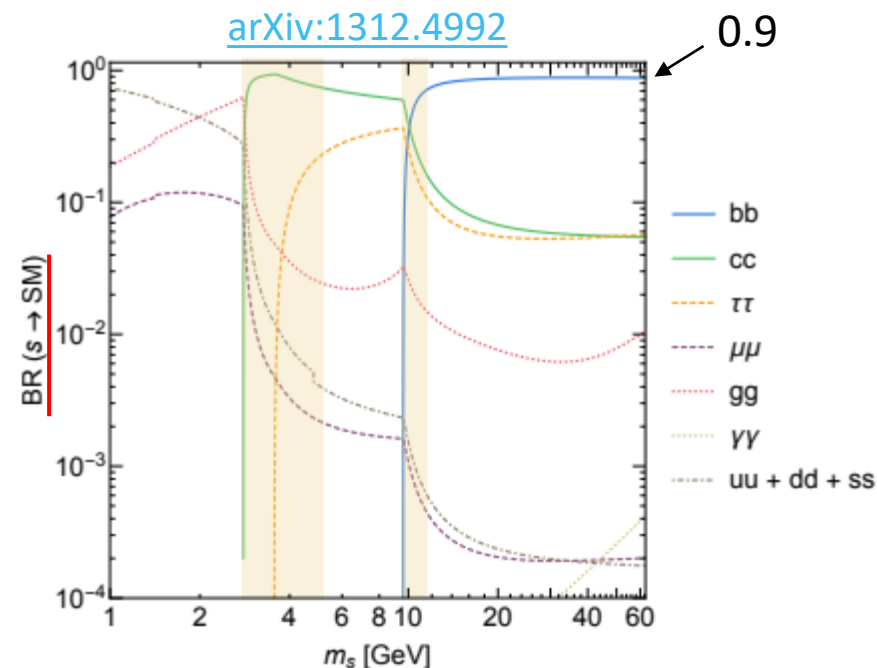
- Approximate the cross section with

$$\sigma = \sigma_{ZH} \times BR(h \rightarrow ss) \times BR(s \rightarrow b\bar{b})^2$$

- The branching ratio for Higgs to s ([arXiv:2111.12751](https://arxiv.org/abs/2111.12751))

$$BR(h \rightarrow ss) = \frac{\kappa^2 v^2}{32\pi m_h \Gamma_h} \sqrt{1 - 4 \frac{m_s^2}{m_h^2}}$$

- We set $\kappa = 1e-3$ s.t $BR(h \rightarrow ss) = O(10^{-4})$, lower than current constraints and within reach for FCC-ee shown by previous studies, see backup
- $\sigma_{ZH} = 0.259 \pm 9.972e-5$ pb, from MG output
- $BR(s \rightarrow b\bar{b})^2 = 0.9^2$, from plot



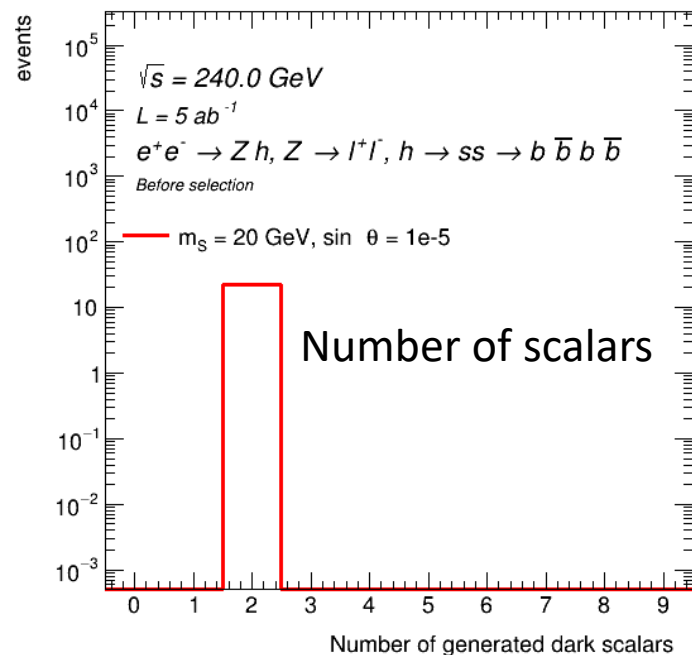
Parameter choices

- We generate samples for two different masses, $m_s = 20$ GeV and $m_s = 60$ GeV
- And three different mixing angles $\sin \theta = 1e-5, 1e-6, 1e-7$ for each mass
- Full chain using MadGraph v3.4.1 + Pythia8 + Delphes, with the [spring2021](#) IDEA Delphes card
- 10 000 events privately produced for each mass and mixing angle
- In GitHub: [Sample Generation](#)

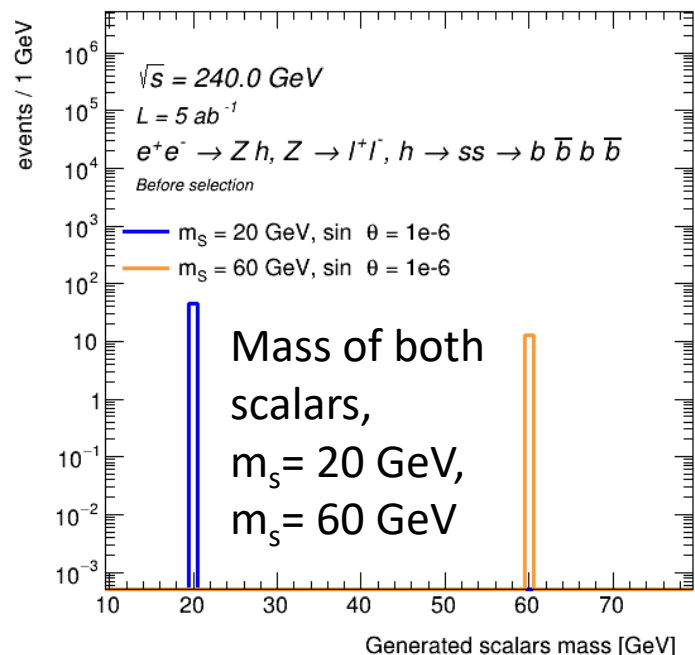
Mass of Scalar [GeV]	Mixing angle $\sin \theta$	Width of Scalar [GeV]	Cross section [pb]
20	1e-5	5.779e-14	1.316e-4
20	1e-6	5.779e-16	1.316e-4
20	1e-7	5.779e-18	1.316e-4
60	1e-5	2.252e-13	3.889e-5
60	1e-6	2.252e-15	3.889e-5
60	1e-7	2.252e-17	3.889e-5

Generated kinematics

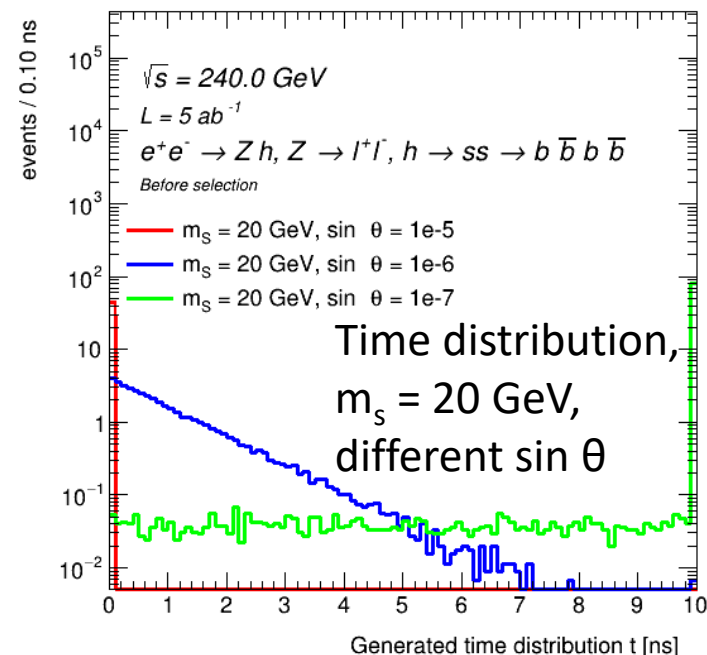
FCCAnalyses: FCC-ee Simulation (Delphes)



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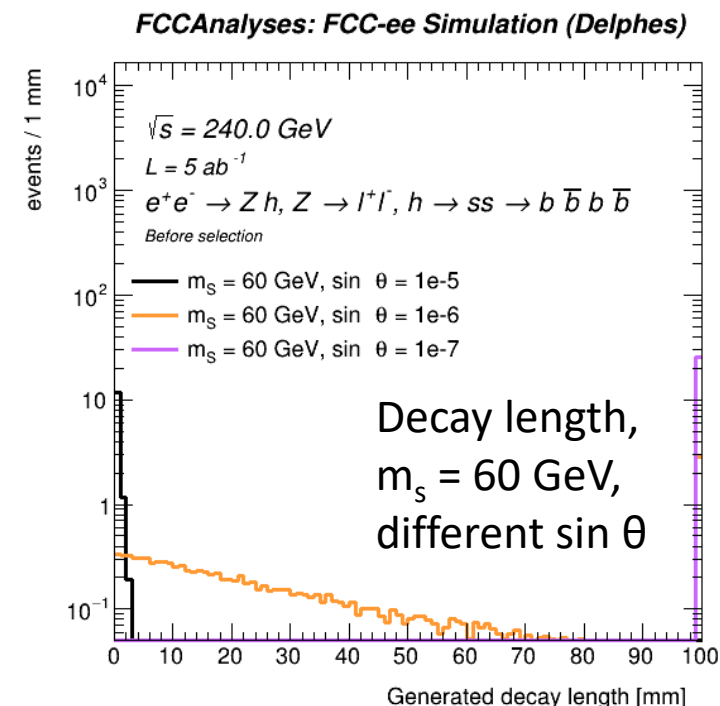
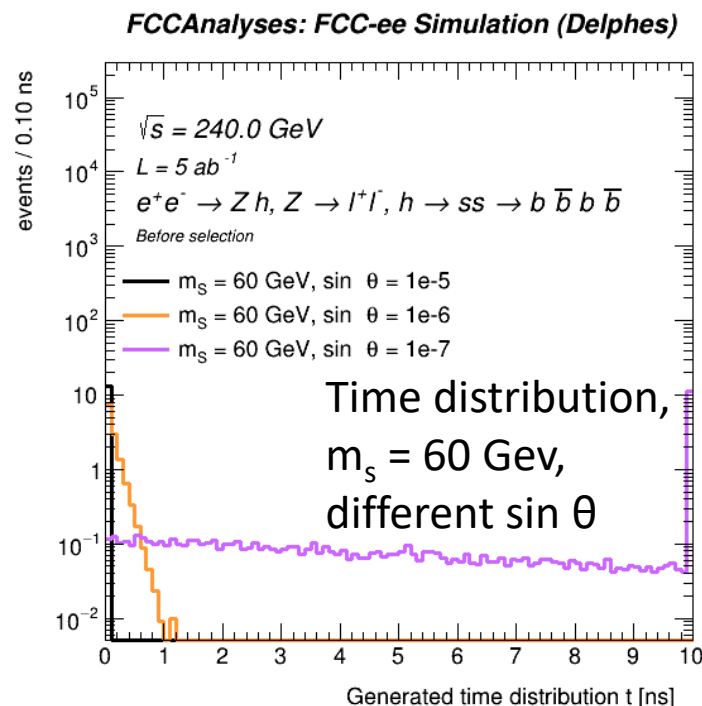
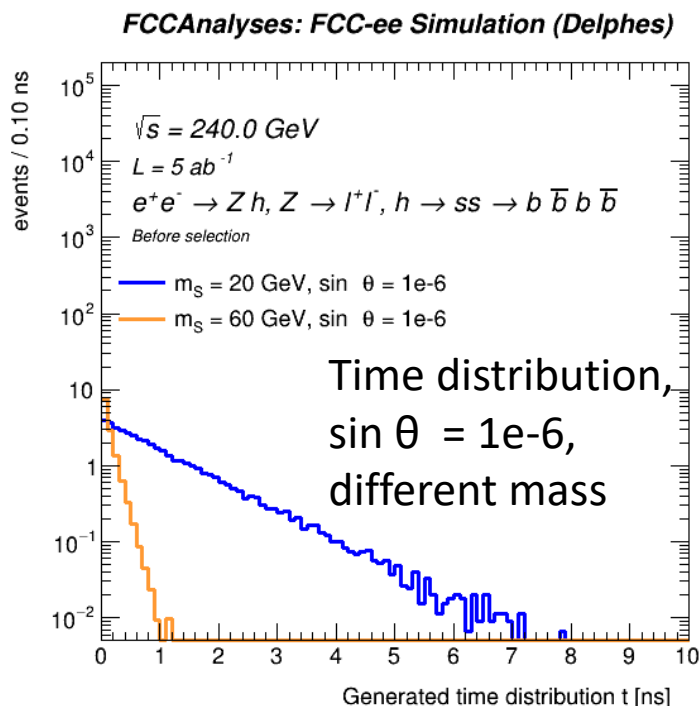


FCCAnalyses: FCC-ee Simulation (Delphes)



- Generates 2 scalars for every event
- Generates the two different scalar masses, $m_s = 20$ GeV and $m_s = 60$ GeV
- The generated mean proper lifetimes τ (from fit of the distributions) behaves as expected:
 - 0.0107 ± 0.0001 ns
 - 1.0622 ± 0.0108 ns
 - 118.326 ± 1.2412 ns

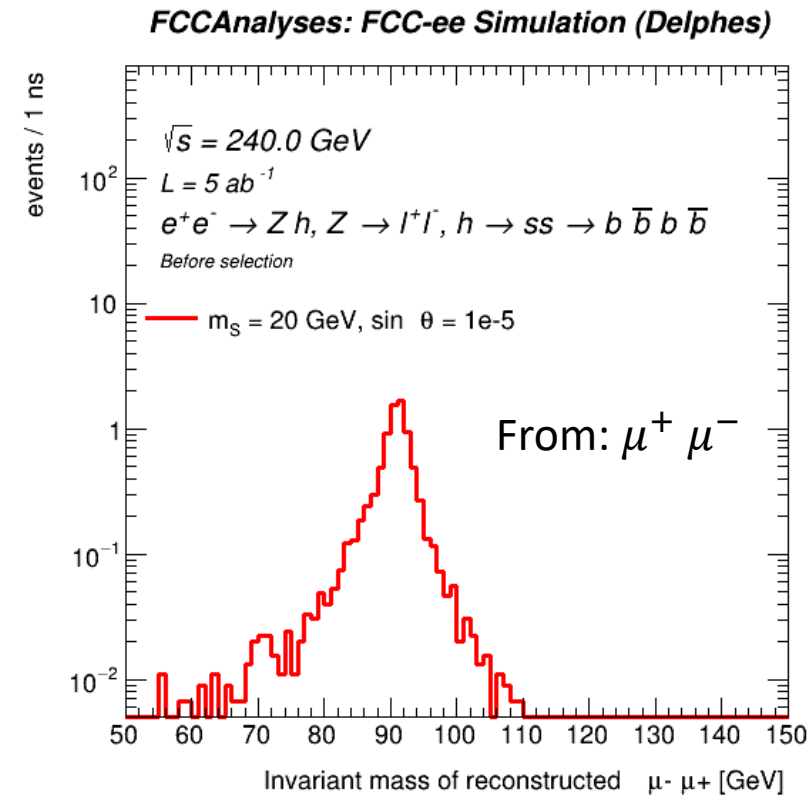
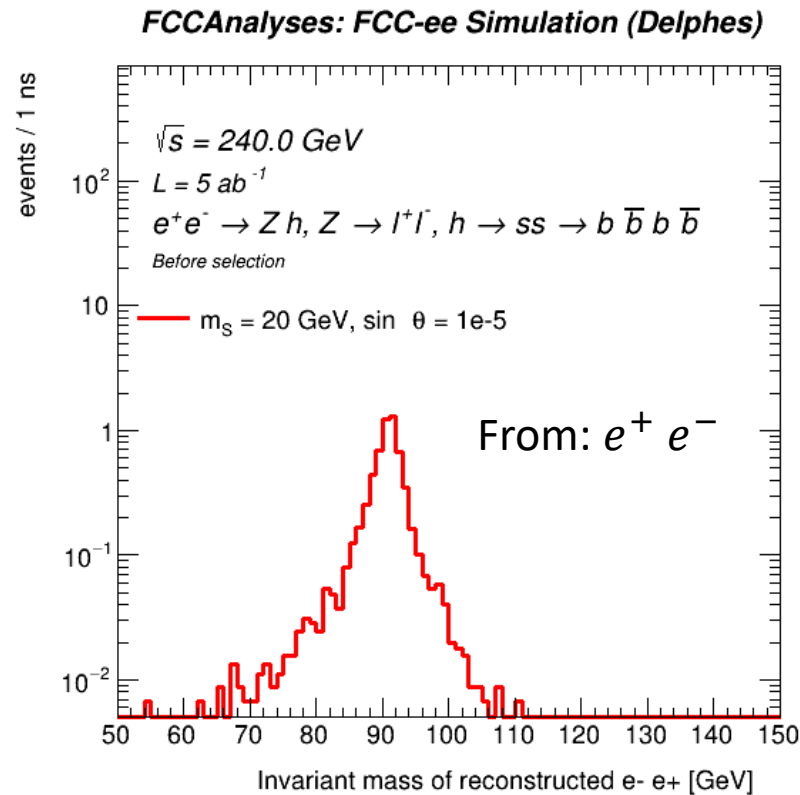
Generated kinematics



- The heavier mass $m_s = 60 \text{ GeV}$ has a shorter lifetime than the lighter mass $m_s = 20 \text{ GeV}$ for the same mixing angle $\sin \theta$, as expected

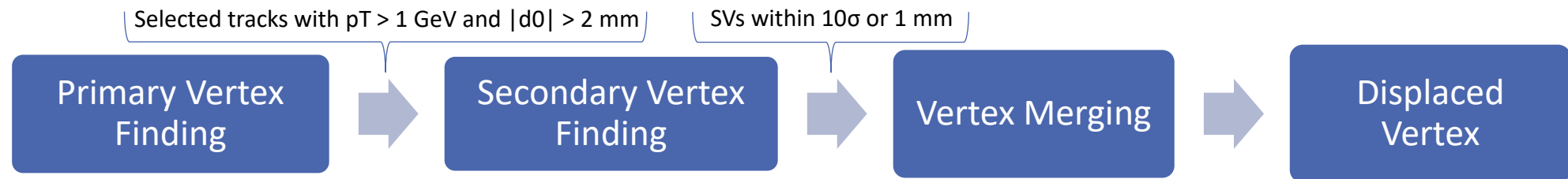
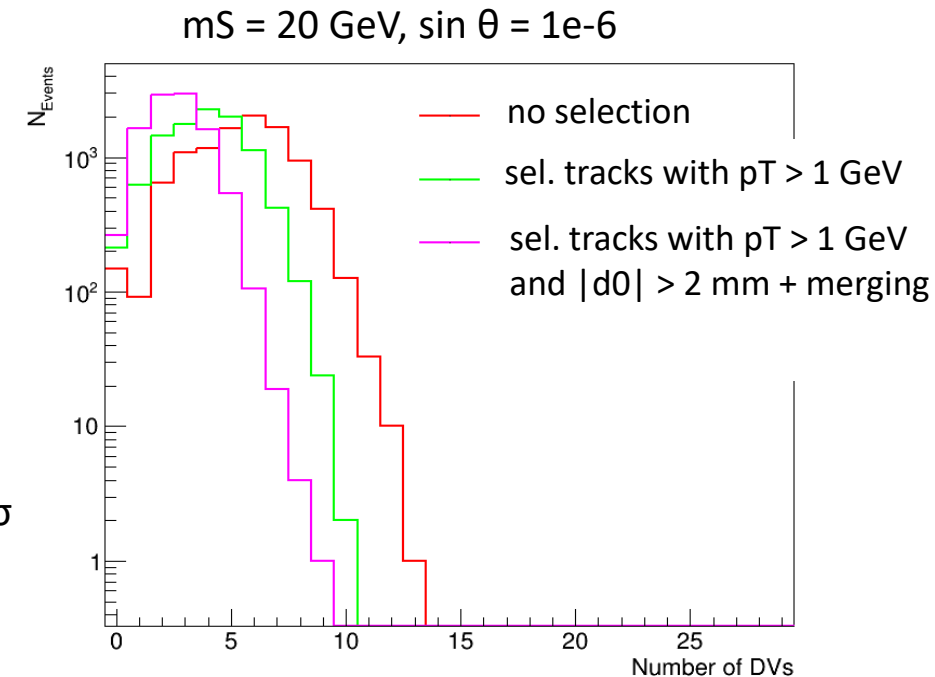
Reconstruction of the Z boson with e^+e^- and $\mu^+\mu^-$

- The Z boson mass reconstructed from the invariant mass of either the reconstructed e^+e^- or $\mu^+\mu^-$ pair
- Can be used to tag the signal



Displaced Vertex Reconstruction

- Using current tools of FCCAnalysis with extra constraints and functions, inspired by Atlas DV reconstruction algorithm ([cern record](#))
- Finding PV with the vertexfitter ([link](#))
- Using the SV finder ([PR](#)) of the LCFI+ algorithm ([arXiv:1506.08371](#))
 - Our inputs for vertex seed: $M_{\text{inv}} < 40$ GeV (standard 10 GeV), $\chi^2 < 9$, and $\chi^2 < 5$ for adding track to vertex seed
- Added for our purpose: selected tracks and vertex merging ([link](#))
 - To minimize SVs from the final state b quarks
 - Compare the vertices positions pair-wise and merge if they are within 10σ (σ = error of vertex position) or 1 mm
 - Merging done by taking the associated tracks of the merged vertices, combine and rerun the vertexfitter



Vertexfitter of Franco

BSC of PV from Emmanuel & Clement: [talk](#)

SV finder from Kunal

Gautam: [talk](#)

DV Reconstruction Performance

Example for one event from signal sample $m_S = 20$ GeV, $\sin \theta = 1e-6$

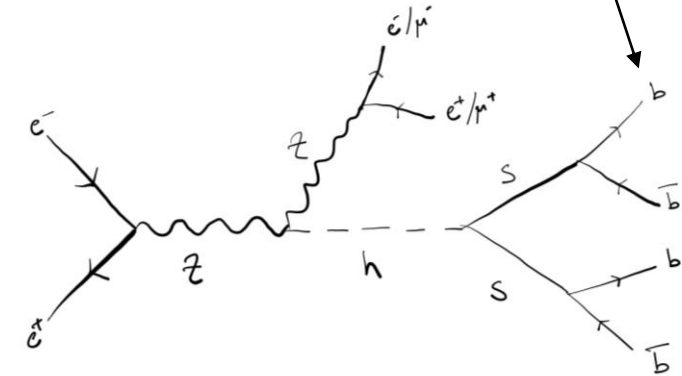
DV properly reconstructed!

Vertex	x [mm]	y [mm]	z [mm]	Inv. Mass at DV [GeV]
MC scalar 1	72.97	719.83	138.51	
MC scalar 2	-1600.13	-1561.34	-761.00	
DVs	72.95 ± 0.019	721.67 ± 0.074	138.68 ± 0.148	6.94
	74.73 ± 0.026	731.47 ± 0.152	140.96 ± 0.155	2.12

SV from b quark decays

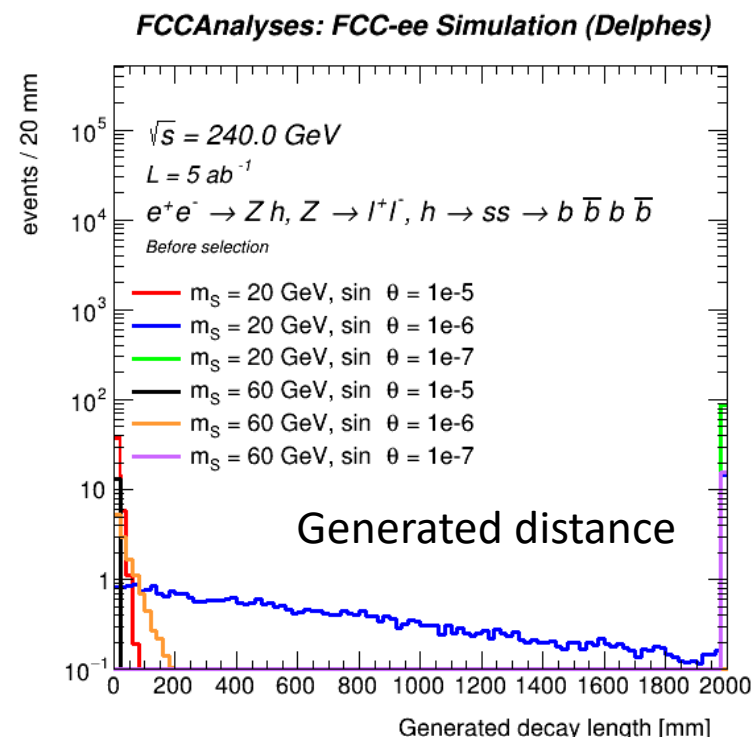
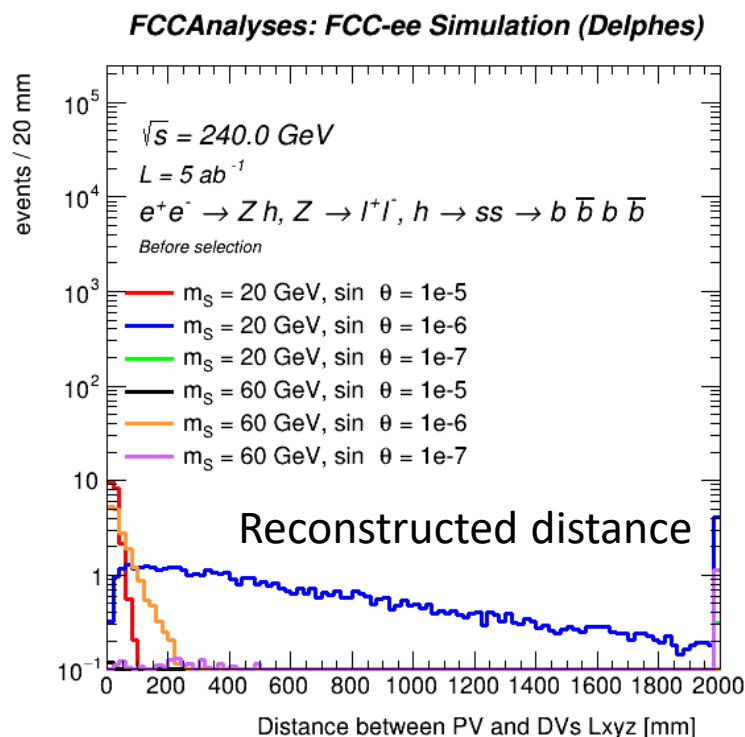
Example of merging effect for one event from signal sample $m_S = 20$ GeV, $\sin \theta$:

Vertex	x [mm]	y [mm]	z [mm]
MC scalar 1	-6.13	-0.63	-2.98
MC scalar 2	8.94	8.42	6.47
SVs	-5.68 ± 0.260	-0.64 ± 0.022	-2.75 ± 0.096
	-6.22 ± 0.044	-0.61 ± 0.005	-3.00 ± 0.019
	8.94 ± 0.018	8.41 ± 0.016	6.47 ± 0.005
	9.66 ± 0.019	8.88 ± 0.013	6.82 ± 0.008
	17.40 ± 0.015	17.86 ± 0.016	14.81 ± 0.013
	16.14 ± 0.010	16.36 ± 0.010	13.48 ± 0.010
	-8.27 ± 0.024	-1.60 ± 0.016	-4.75 ± 0.016
DVs	-6.17 ± 0.043	-0.61 ± 0.004	-2.97 ± 0.018
	8.90 ± 0.007	8.37 ± 0.006	6.48 ± 0.003
	17.40 ± 0.015	17.86 ± 0.016	14.81 ± 0.013
	16.14 ± 0.010	16.36 ± 0.010	13.48 ± 0.010
	-8.27 ± 0.024	-1.60 ± 0.016	-4.75 ± 0.016



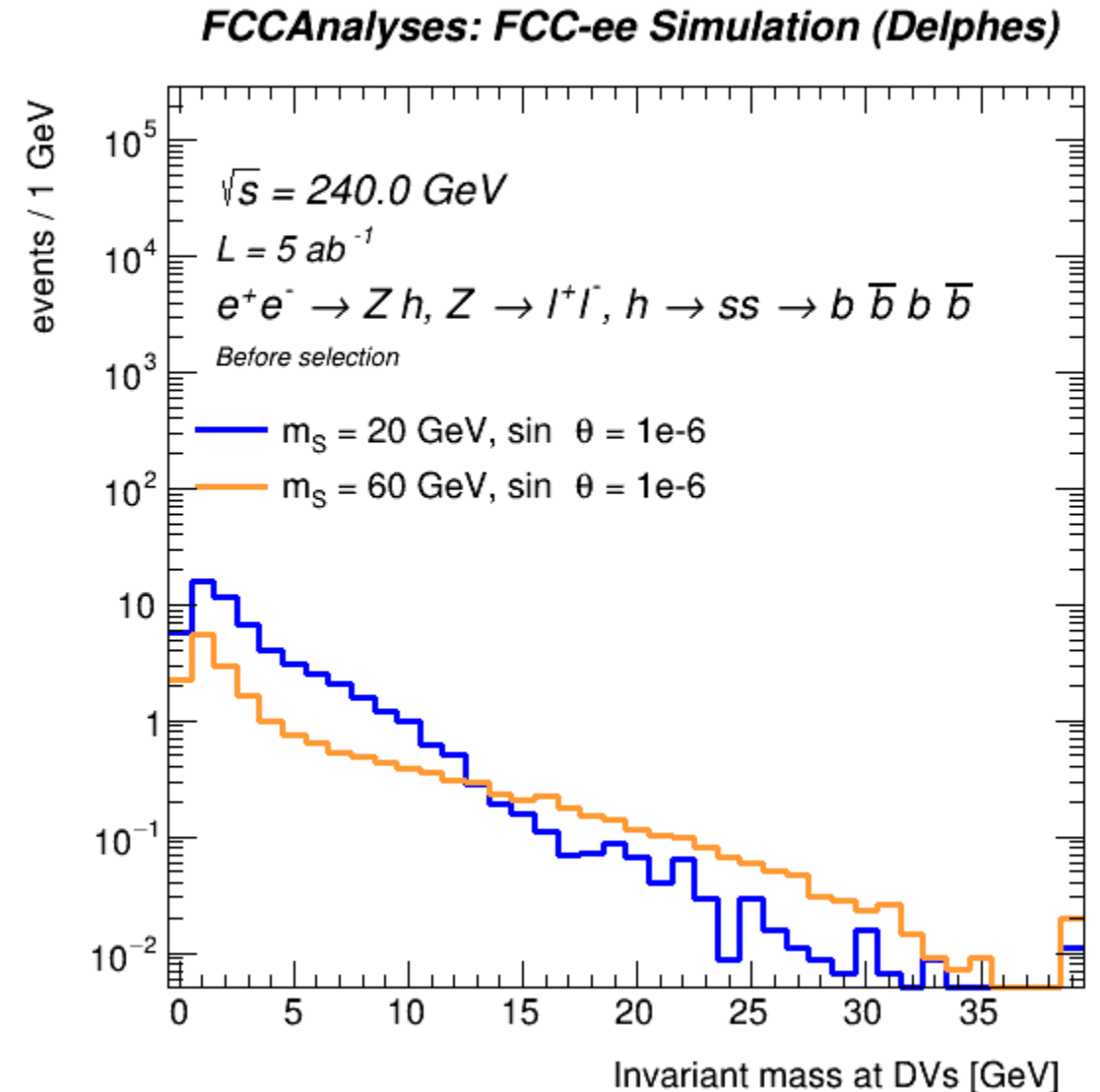
Distance from PV to DVs

- $m_s = 20 \text{ GeV}, \sin \theta = 1e-5$, $m_s = 20 \text{ GeV}, \sin \theta = 1e-6$ and $m_s = 60 \text{ GeV}, \sin \theta = 1e-6$ good for our analysis!
- $m_s = 60 \text{ GeV}, \sin \theta = 1e-5$ is too short lived to be properly reconstructed with the DV algorithm
- Both $m_s = 20 \text{ GeV}$ and $m_s = 60 \text{ GeV}$ with $\sin \theta = 1e-7$ are too long-lived so we get very few reconstructed events
- Reconstructed quantity nicely follows the generated quantity



Invariant Mass at the DVs

- Invariant mass at vertex calculated assuming all tracks to come from pions
- Captures only the charged component of the jet fragmentation
- The distribution of the heavier signal sample, $m_s = 60$ GeV, extends to higher values, as expected



Suggested event selection

- Suggested variables and selections
 - Tag Z-boson with invariant mass of electrons/positrons and muons
 - Require at least 1 reconstructed DV
- Suggested variables for further study for selections
 - Distance of DVs from PV: Required to be in fiducial volume of the ID/Drift Chamber (DCH) of IDEA, to ensure vertexing efficiency, and outside the innermost region to exclude heavy-flavour decays
 - Invariant mass at DV: To remove background DVs

	Variable/Selection
Tag Z-boson	$80 < m_{l+l^-} < 100 \text{ GeV}$
Multiplicity of DV	$n_{DV} \geq 1$
Distance of DV	L_{xyz}
Charged invariant mass at DV	$M_{charged}^{DV}$

Sensitivity Analysis

- The cross section is given by $\sigma = \sigma_{ZH} \times BR(h \rightarrow ss \rightarrow b\bar{b}b\bar{b})$
- Including the Z boson decaying to e^+e^- or $\mu^+\mu^-$ pairs we get

$$\sigma = \sigma_{ZH} \times BR(h \rightarrow ss \rightarrow b\bar{b}b\bar{b}) \times BR(Z \rightarrow l^+l^-)$$

- Expected events calculated as $N = L \times \sigma$ with $L = 5 \text{ ab}^{-1}$
- Times the fraction of decays within DCHs outer radius $R_{\text{out}} = 200 \text{ cm}$
 - 83.8% for $m_s=20 \text{ GeV}$, $\sin\theta=1e-6$
 - 100% for $m_s=20 \text{ GeV}$, $\sin\theta=1e-5$ and $m_s=60 \text{ GeV}$, $\sin\theta=1e-6$

Signal sample	Cross section [pb]	Expected events	Cross section [pb] including Z to l+l-	Expected events	Expected events within ID/DCH
$m_s=20 \text{ GeV}$, $\sin\theta=1e-5$	1.316e-4	658	4.434e-6	22	22
$m_s=20 \text{ GeV}$, $\sin\theta=1e-6$	1.316e-4	658	4.434e-6	22	18
$m_s=60 \text{ GeV}$, $\sin\theta=1e-6$	3.889e-5	194	1.311e-6	6.5	6.5

- Assuming zero background, signal points with at least three expected events can be excluded
 → Acceptance times efficiency needs to be at least 50% for the $m_s = 60 \text{ GeV}$ point

Preliminary next steps for the LLP group

- Perform truth matching with MC vertices of the scalars vs the reconstructed DVs
 - What is the reconstruction efficiency?
- Possibly improve DV finder
 - Are there other cuts that can be done to improve the reconstruction?
 - Can other choices of p_T and $|d_0|$ thresholds improve the reconstruction?
- Increase signal sample size and consider several different masses and mixing angles to properly span the parameter space
- Perform background study and event selection
 - Use centrally produced samples at ZH stage
 - Confirm zero background?
- Study other possible exotic Higgs decays to LLPs
 - E.g Dark Photon in the HAHM model
- More person power needed, please come and join this effort!

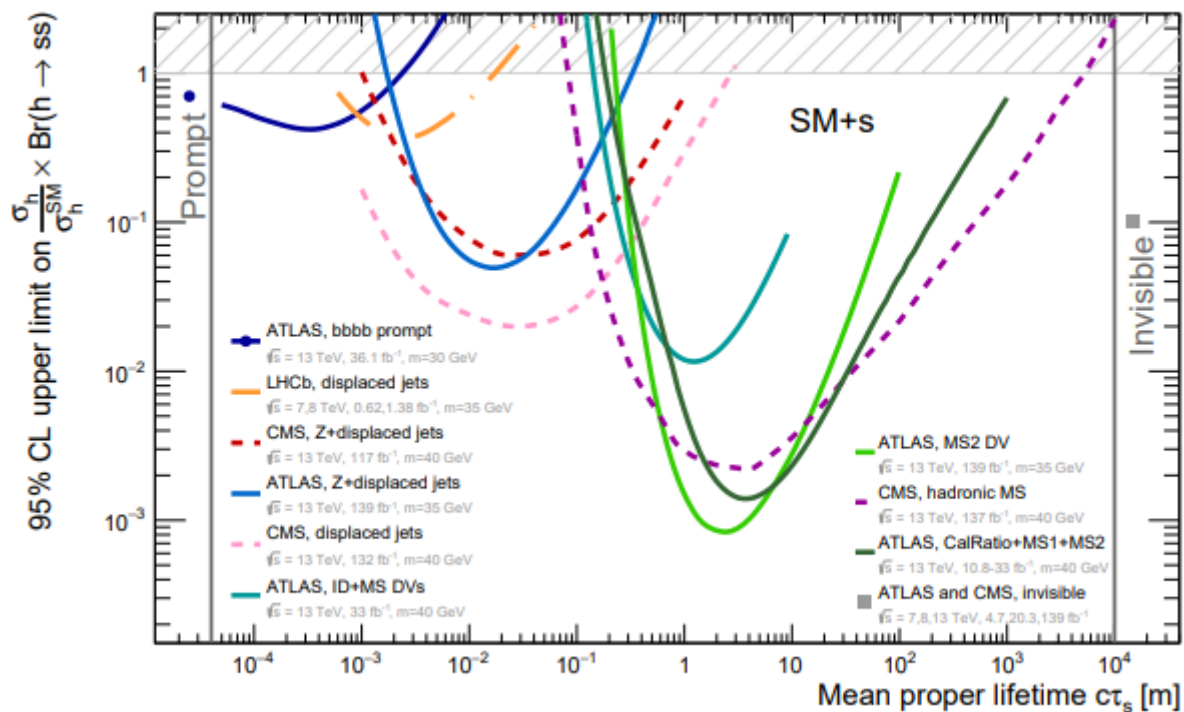
Summary

- Aimed to simulate and analyse exotic Higgs decays to LLPs at FCC-ee within the FCCAnalysis framework
 - Considered the signal process $e^+e^- \rightarrow Z h$ with $Z \rightarrow e^+e^-$ or $\mu^+\mu^-$ and $h \rightarrow ss \rightarrow b\bar{b}b\bar{b}$
 - Generated signal samples of the long-lived scalars with the MG HAHM model, considering **$m_s = 20$ GeV and $m_s = 60$ GeV with lifetimes of 1 mm – 10 m**
- Generated kinematics look sensible
- Look for the experimental signature of reconstructing the Z boson from reconstructed electrons and muons and at least 1 DV
 - The Z boson can be reconstructed well from the invariant mass of the reconstructed electrons and muons
 - Constructed a procedure to reconstruct the DVs, developed from current tools of FCCAnalysis
- The performance of the DV algorithm has been studied to some degree
 - Looked at number of DVs, invariant mass at vertex and distance of the DVs from the PV
 - Need to determine efficiency by e.g truth matching
 - **Needed efficiency 50% for the DV reconstruction** considering high acceptance and no background

Thank you for listening!

Backup Slides

Current Constraints LHC

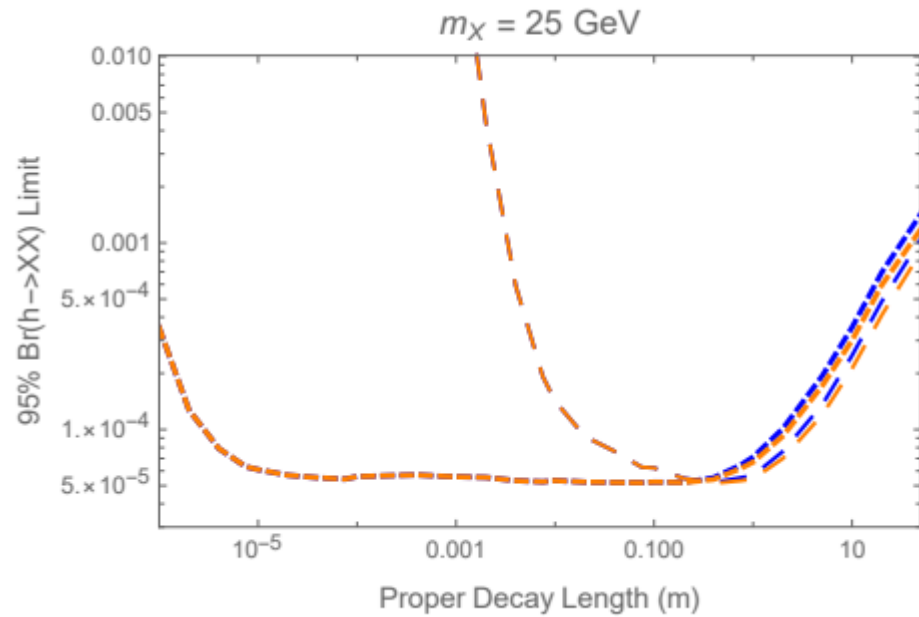


[arXiv:2111.12751](https://arxiv.org/abs/2111.12751)

Table 2: Summary of the latest LLP searches for $h \rightarrow ss/vv$. m and $c\tau$ denote the new particle mass and lifetime, respectively.

Decay	Mode	Reference	Method	\sqrt{s} (TeV)	$\int \mathcal{L}$ (fb $^{-1}$)	m (GeV)	$c\tau$ (m)
SM+s: $h \rightarrow ss$ or $s + X$, s long-lived							
bbbb	Wh/Zh	ATLAS [76]	prompt reinterp.	13	36.1	20-60	$10^{-4} - 10^{-2}$
bbbb							
cccc	ggF	LHCb [94]	disp. jets	7,8	2.0	25-50	$10^{-3} - 10^{-1}$
ssss							
bbbb	Zh	CMS [95]	Z+disp. jets	13	117	15-55	$10^{-3} - 1$
dddd	Zh	ATLAS [96]	Z+disp. jets	13	139	16-55	$10^{-3} - 1$
bbbb	ggF	CMS [97]	disp. jets	13	132	15-55	$10^{-3} - 10$
dddd							
bbbb	ggF	ATLAS [98]	CalRatio	13	10.8, 33.0	5-55	$10^{-1} - 10^3$
cccc							
TTTT							
bbbb	ggF	ATLAS [99]	ID+MS DVs	13	33.0	8-55	$10^{-1} - 10$
cccc							
TTTT							
bbbb	ggF	CMS [100]	hadronic MS	13	137	14-55	$10^{-1} - 10^4$
dddd						7-55	
TTTT						7-55	
bbbb	ggF	ATLAS [101]	MS1+MS2 DV	13	36.1	5-40	$10^{-1} - 10^3$
cccc							
TTTT							
bbbb	ggF	ATLAS [102]	MS2 DV	13	139	5-55	$10^{-1} - 10^2$
cccc							
TTTT							
$e\mu+X$							
$\mu\mu+X$	ggF	CMS [103]	disp. leptons	13	113-118	30-50	$10^{-3} - 10^1$
$ee+X$							

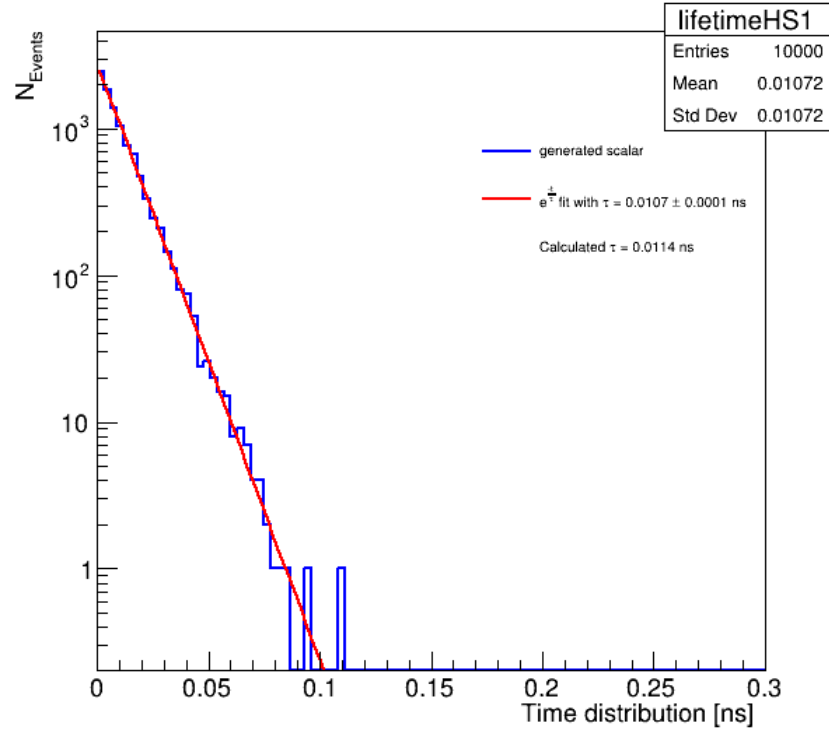
Previous studies



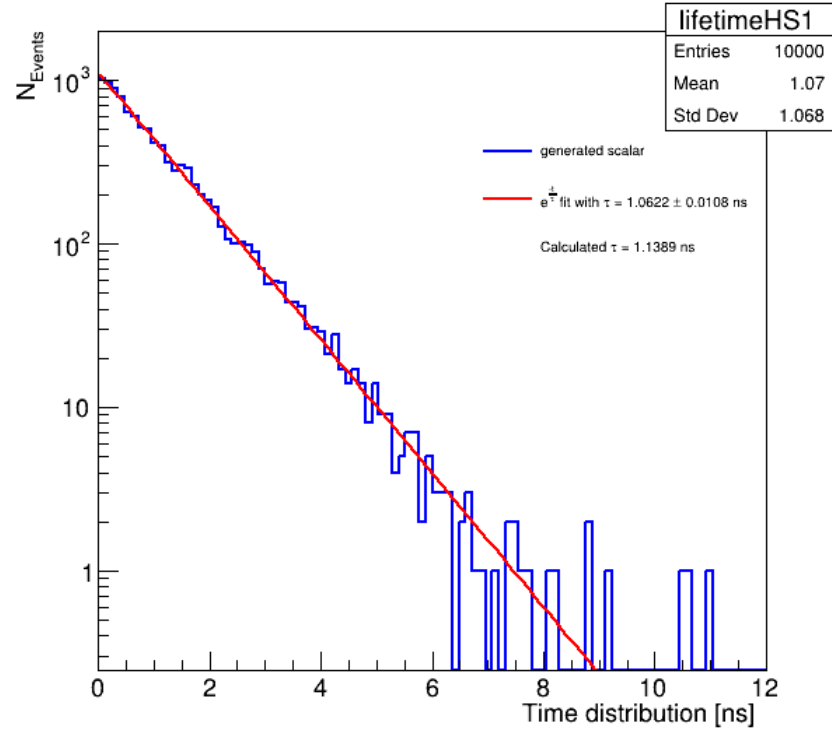
[arXiv:1812.05588](https://arxiv.org/abs/1812.05588)

Time distributions tau from fit vs calculated

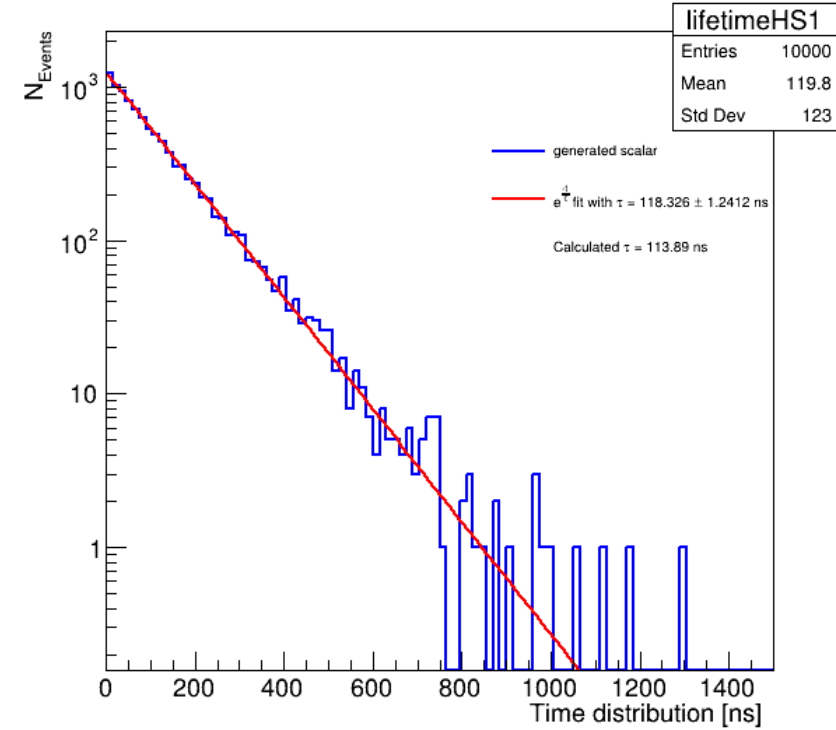
Lifetime of scalar 1 with $\sin \theta = 10^{-5}$



Lifetime of scalar 1 with $\sin \theta = 10^{-6}$



Lifetime of scalar 1 with $\sin \theta = 10^{-7}$



Cross section study of HAHM model

Mass of Scalar m_S [GeV]	Higgs-Scalar coupling κ	Lifetime $c\tau$ [mm]	Cross Section [pb]	Expected events at 5 ab^{-1}
12	10^{-3}	0.0004	$1.133 \times 10^{-5} \pm 1.164 \times 10^{-7}$	57
12	10^{-4}	0.0446	$1.133 \times 10^{-7} \pm 1.164 \times 10^{-9}$	6×10^{-1}
12	10^{-5}	4.4566	$1.133 \times 10^{-9} \pm 1.164 \times 10^{-11}$	6×10^{-3}
20	10^{-3}	0.0001	$1.181 \times 10^{-5} \pm 1.585 \times 10^{-7}$	59
20	10^{-4}	0.0115	$1.181 \times 10^{-7} \pm 1.585 \times 10^{-9}$	6×10^{-1}
20	10^{-5}	1.1505	$1.182 \times 10^{-9} \pm 1.587 \times 10^{-11}$	6×10^{-3}
40	10^{-4}	0.0038	$1.507 \times 10^{-7} \pm 2.105 \times 10^{-9}$	8×10^{-1}
40	10^{-5}	0.3787	$1.507 \times 10^{-9} \pm 2.105 \times 10^{-11}$	8×10^{-3}
50	10^{-4}	0.0026	$1.606 \times 10^{-7} \pm 2.257 \times 10^{-9}$	8×10^{-1}
50	10^{-5}	0.0075	$1.606 \times 10^{-9} \pm 2.256 \times 10^{-11}$	8×10^{-3}

Table 1: Using the HAHM_MG_v3 with $m_{Z_D} = 30 \text{ GeV}$ and $\epsilon = 1 \times 10^{-10}$.