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FSP LHCb
Erforschung von
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RWTH AACHEN
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LHCb
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Lepton flavour universality tests and related measurements at LHCb

Dan Moise

on behalf of the LHCb collaboration

17th May 2023
Rencontres de Blois

Lepton Flavour Universality (LFU) & b decays

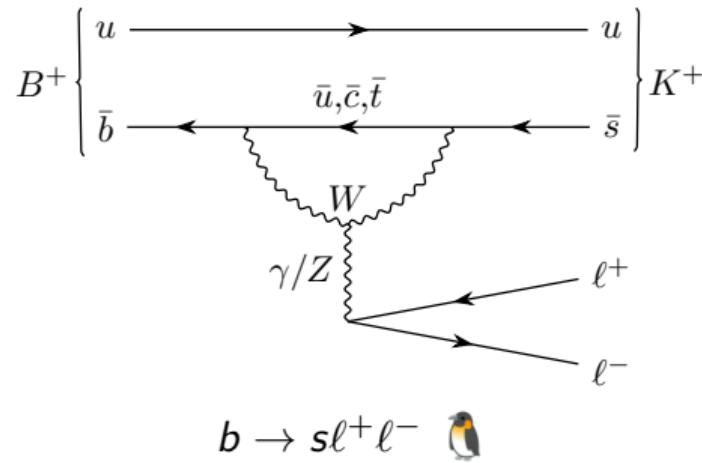
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- any sign of lepton flavour non-universality would indicate new physics (NP)

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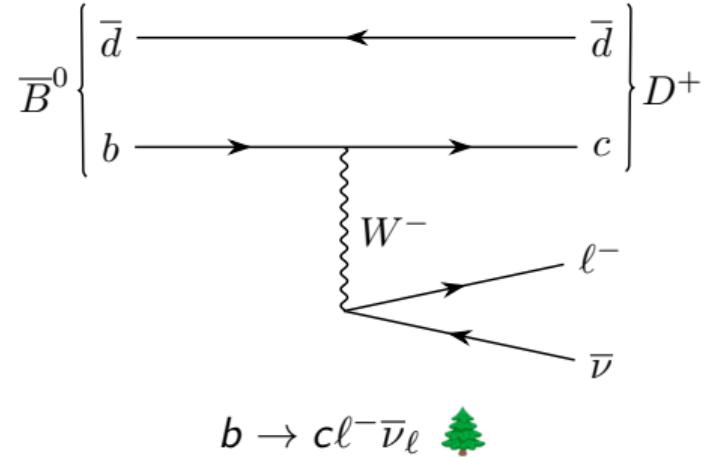
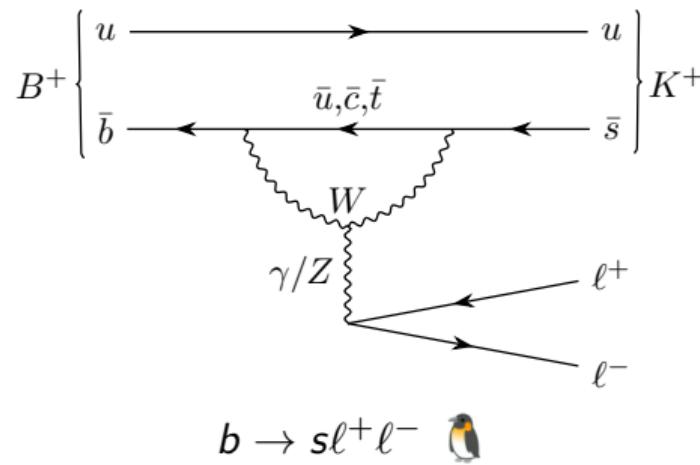


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- NP can enter at tree-level
⇒ enhancement w.r.t. SM

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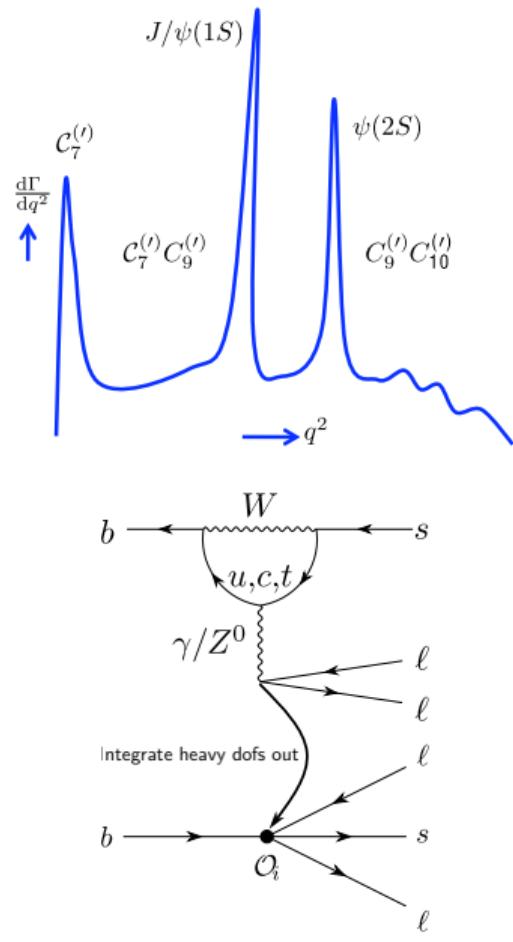
- tree-level ⇒ enhanced \mathcal{B}
- different process ⇒ complementary NP sensitivity

The bigger picture

If NP is at high mass scales, effect on b -decays is short-distance

⇒ describe using $\mathcal{H}_{\text{eff}} \propto - \sum_i C_i \mathcal{O}_i$.

- local operators relevant in different $q^2 \equiv m_{\ell\ell}^2$ regions
- “effective coupling” coefficients may be affected by NP
 - ▶ LFU-violating? [M. Ciuchini *et al.*]
 - ▶ with universal component? [A. Greljo *et al.*]
 - ▶ CP -violating? [R. Fleischer *et al.*]
 - ▶ what about the Cabibbo anomaly? [A. Crivellin *et al.*]
- fits to C_i used to inform model building
 - ▶ leptoquark, charged Higgs, Z' , ...



LFU probes: ratios of branching fractions

$$R_{H_s} = \frac{\mathcal{B}(H_b \rightarrow H_s \ell_1^+ \ell_1^-)}{\mathcal{B}(H_b \rightarrow H_s \ell_2^+ \ell_2^-)}$$

$$R_{H_c} = \frac{\mathcal{B}(H_b \rightarrow H_c \ell_1 \nu_1)}{\mathcal{B}(H_b \rightarrow H_c \ell_2 \nu_2)}$$

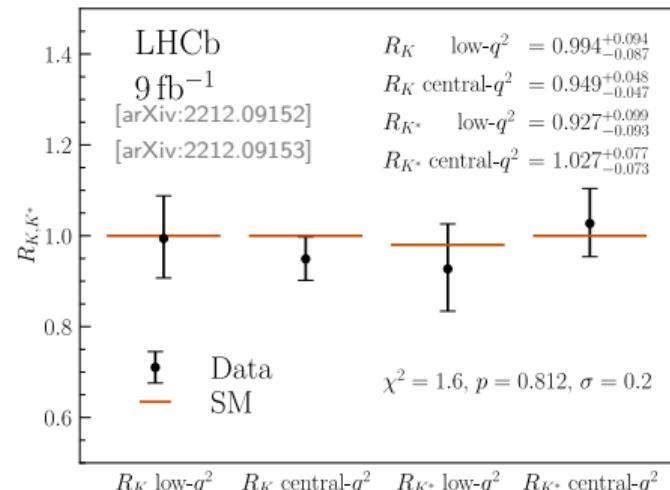
- ✓ theoretically clean: cancellation of hadronic uncertainties
 - ▶ $1 + \mathcal{O}(\%)$ EM correction¹ + ℓ_1/ℓ_2 mass effect
- ✓ experimentally clean: cancellation of common systematics
- ✗ leptons are similar theoretically, but not in LHCb data
 - ⇒ each flavour has specific experimental challenges

¹ [JHEP 06 (2016) 092] [JHEP 07 (2007) 040] [EPJC 76 (2016) 440] [PRD 69 (2004) 074020] [PRD 68 (2003) 094016] [EOS] [flavio]

Ratios of branching fractions at LHCb

$$R_{K,K^*}^{q_1^2, q_2^2} = \frac{\int_{q_1^2}^{q_2^2} dq^2 \frac{d\mathcal{B}(B^{(+,0)} \rightarrow K^{(+,*0}) \mu^+ \mu^-)}{dq^2}}{\int_{q_1^2}^{q_2^2} dq^2 \frac{d\mathcal{B}(B^{(+,0)} \rightarrow K^{(+,*0}) e^+ e^-)}{dq^2}}$$

Example $b \rightarrow s\ell^+\ell^-$ ratios: R_K and $R_{K^{*0}}$

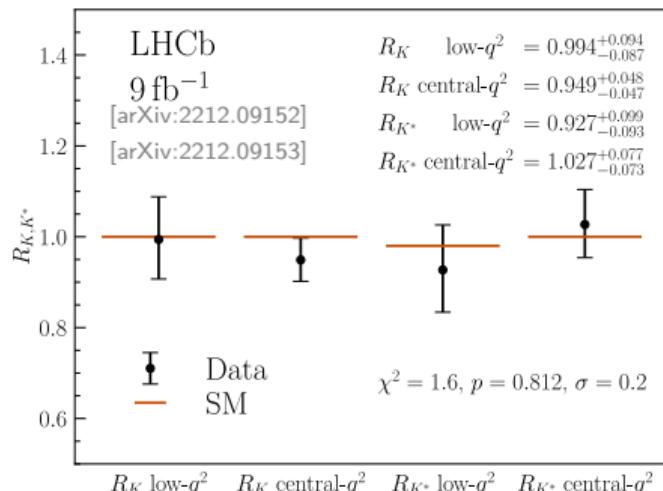


Compatible with SM, individual BFs in tension
(see C. Langenbruch's plenary talk)

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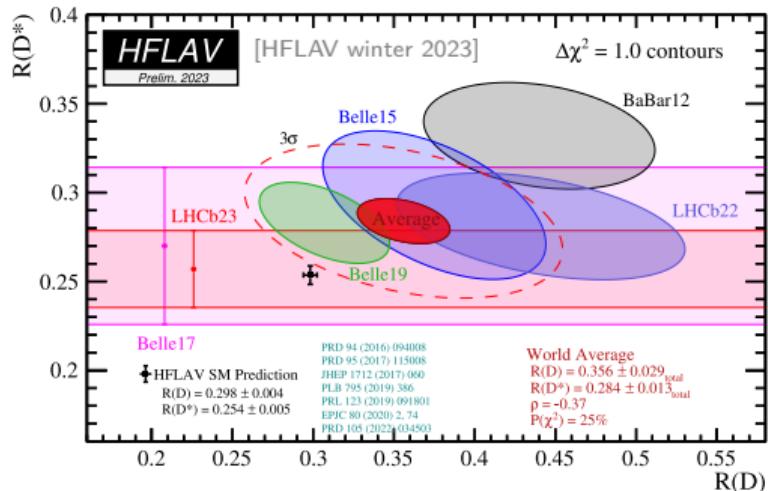
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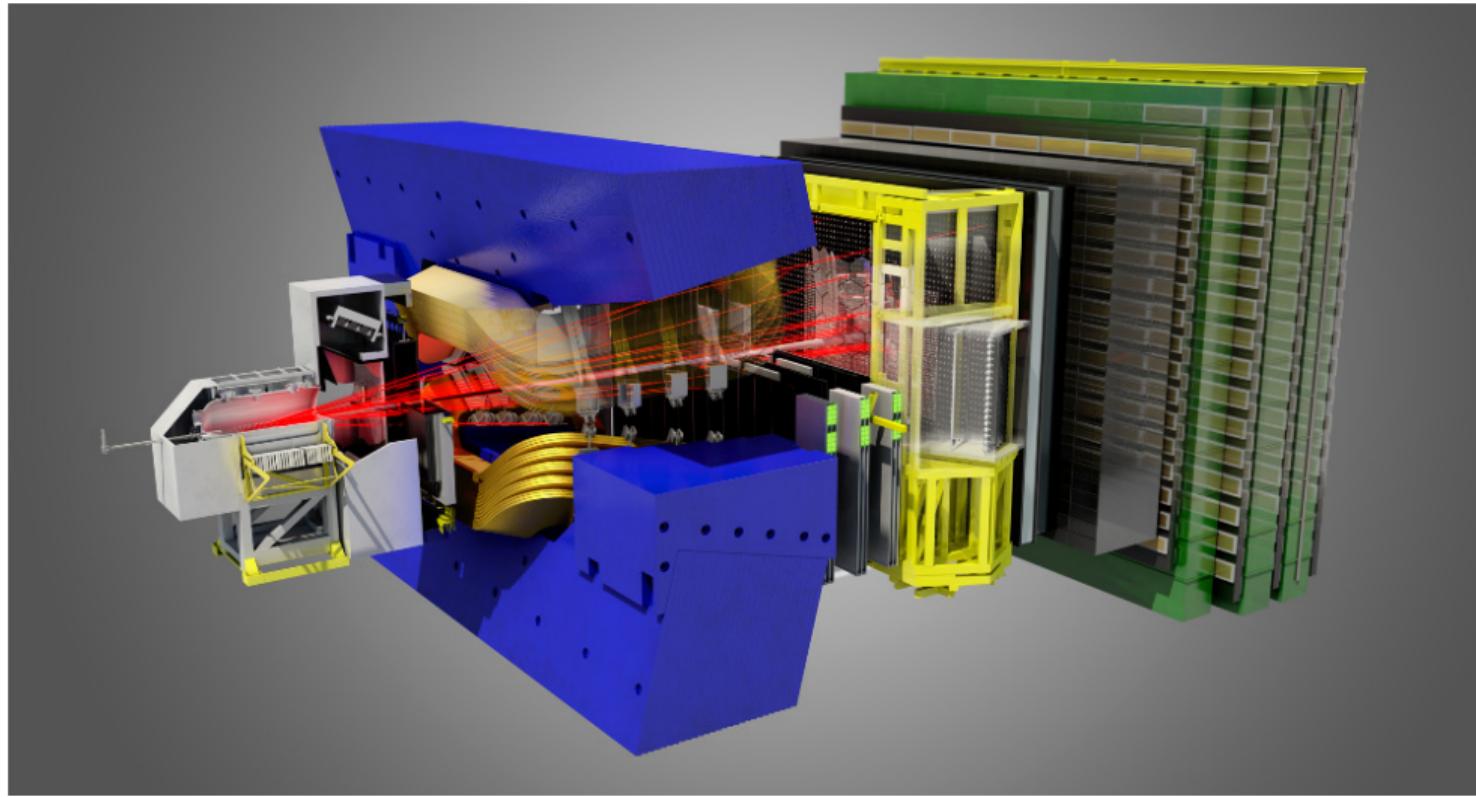
$$R_{D^0,D^*} = \frac{\mathcal{B}(\bar{B} \rightarrow D^{(*)} \mu^- \bar{\nu}_\mu)}{\mathcal{B}(\bar{B} \rightarrow D^{(*)} \tau^- \bar{\nu}_\tau)}$$

Example $b \rightarrow c\ell^-\bar{\nu}_\ell$ ratios: R_{D^0} and R_{D^*}

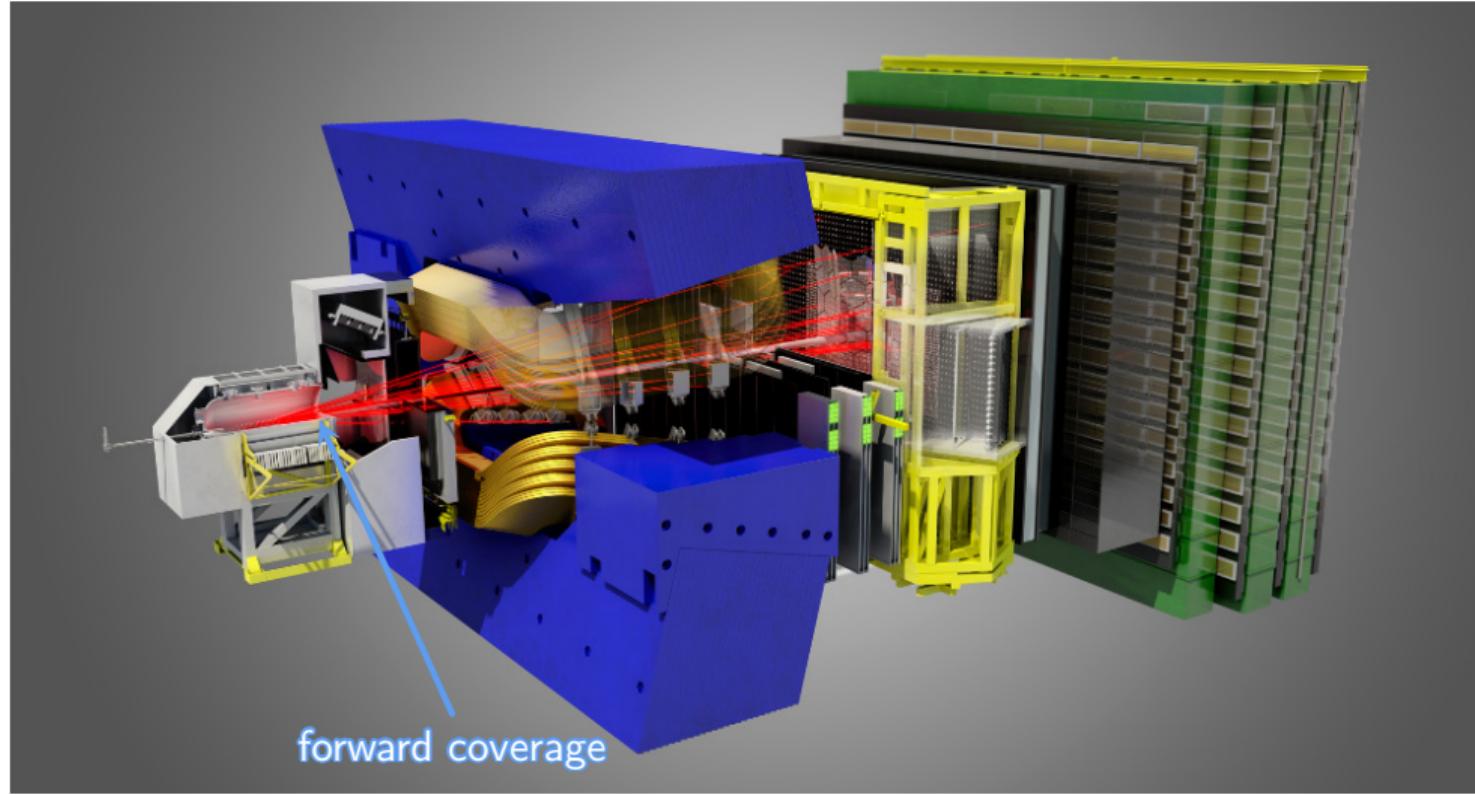


World average $\sim 3\sigma$ from SM
(LHCb tension within 1.9σ)

The LHCb detector

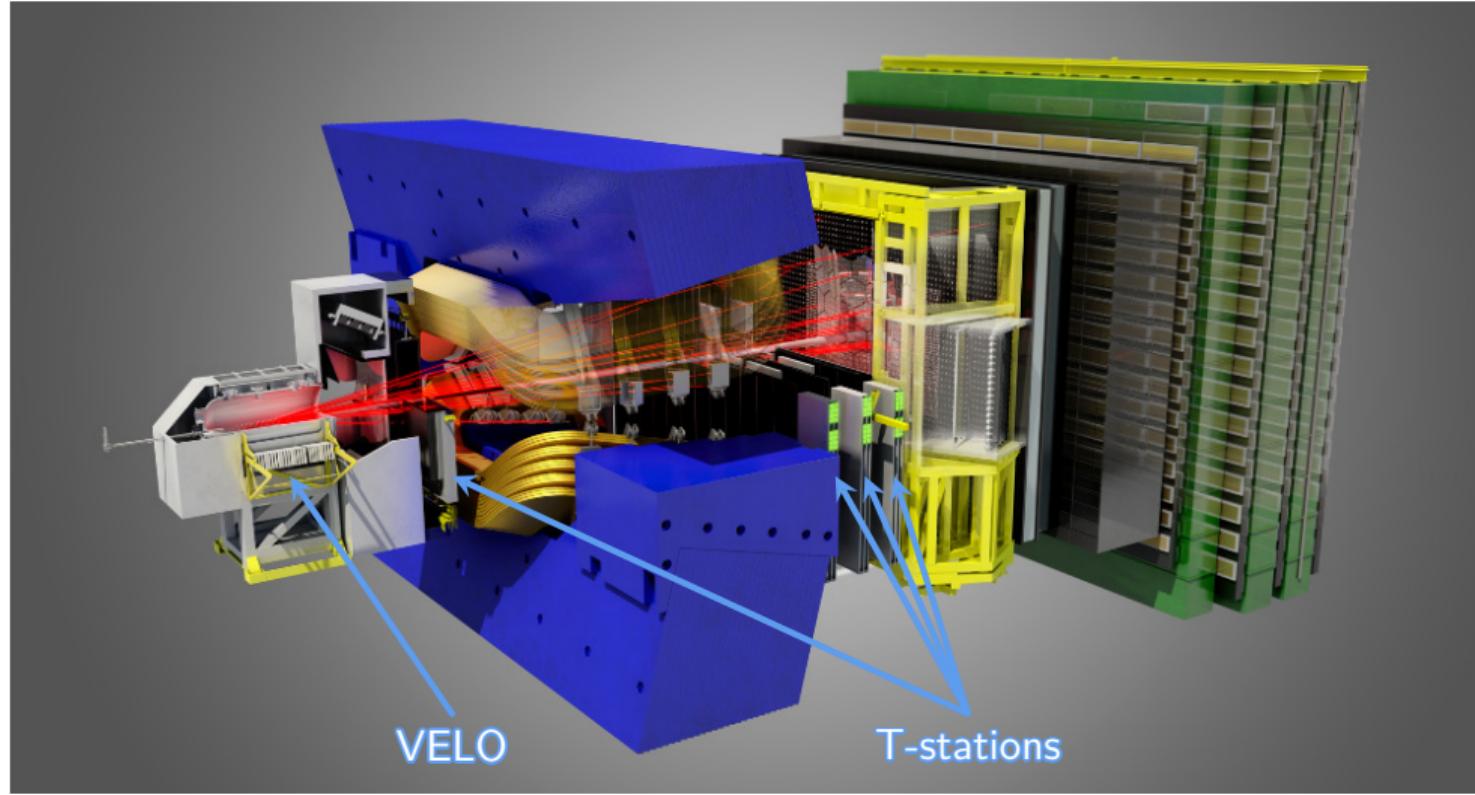


The LHCb detector



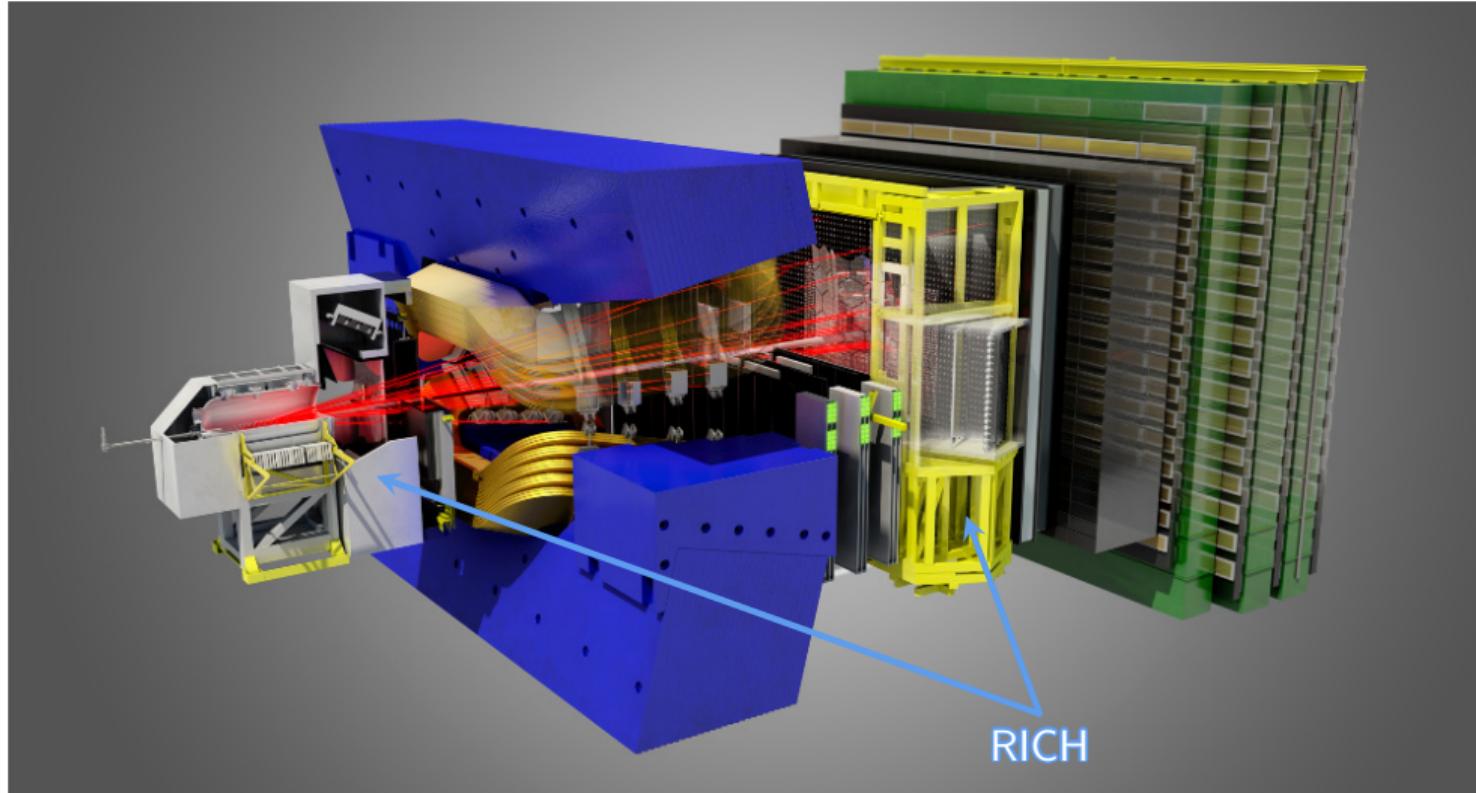
$\sigma_{b\bar{b}}$ up to $\sim 500 \mu b$

The LHCb detector



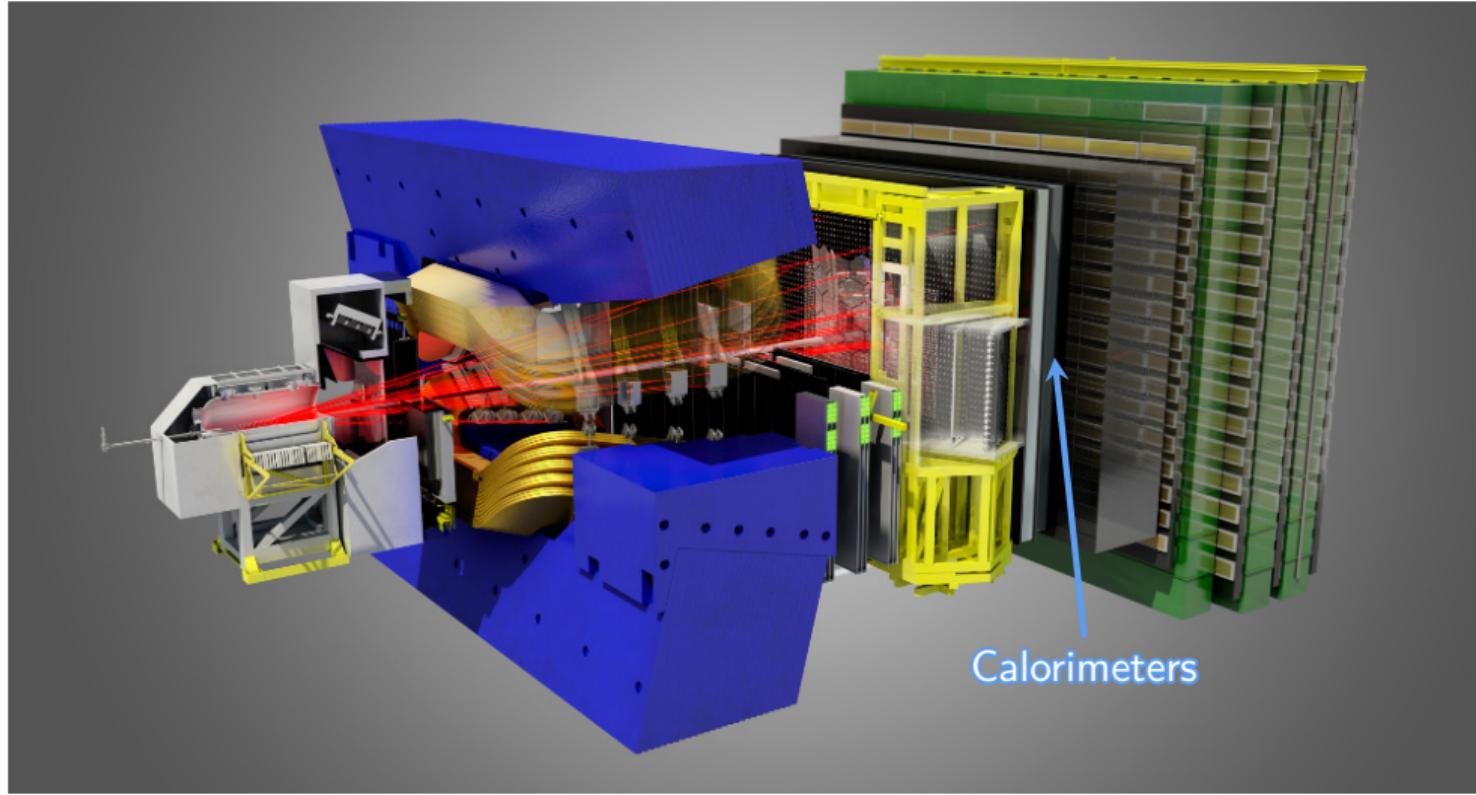
$$\sigma_{\text{IP}} = (15 \pm 29/p_T) \text{ } \mu\text{m} \quad \sigma_p/p \in [0.5\%, 1\%]$$

The LHCb detector



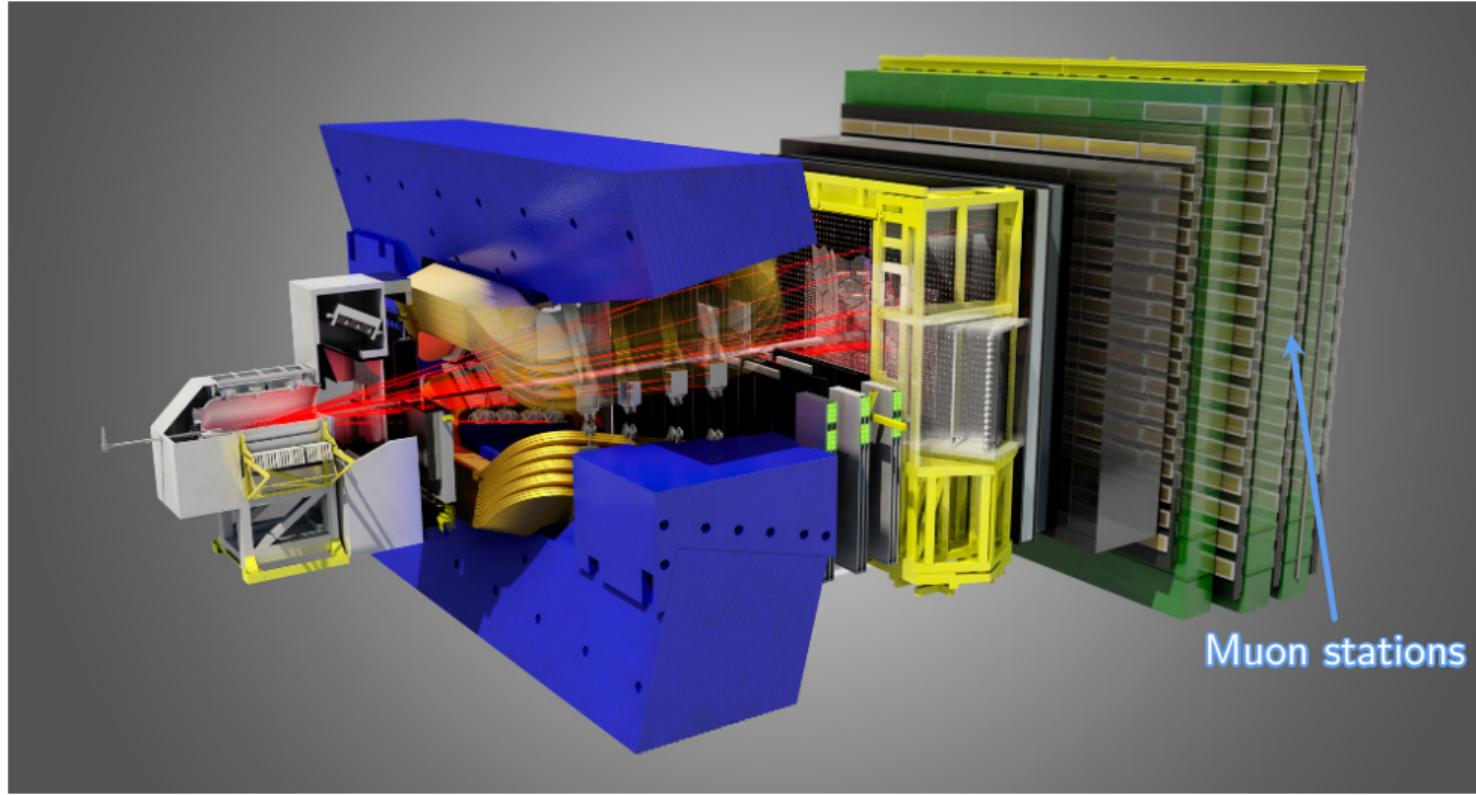
$$\varepsilon_{K \rightarrow K} \sim 95\%, \varepsilon_{\pi \rightarrow K} \sim 5\%$$

The LHCb detector



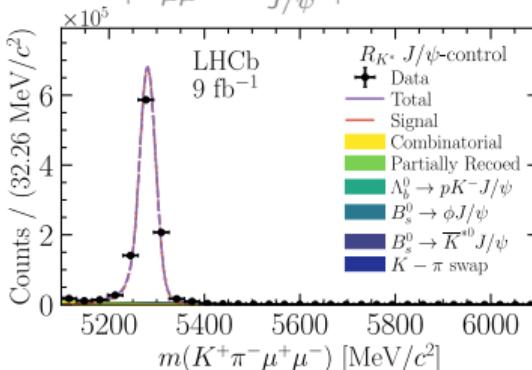
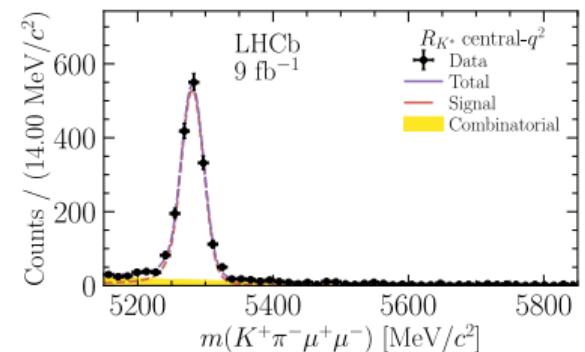
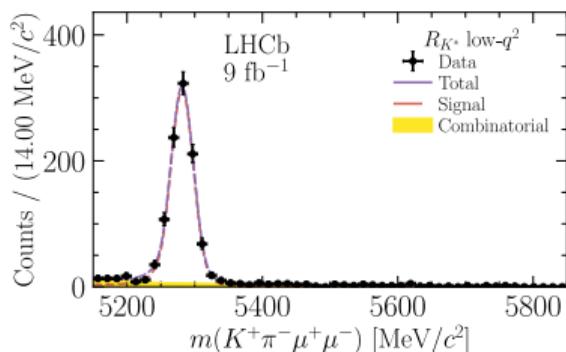
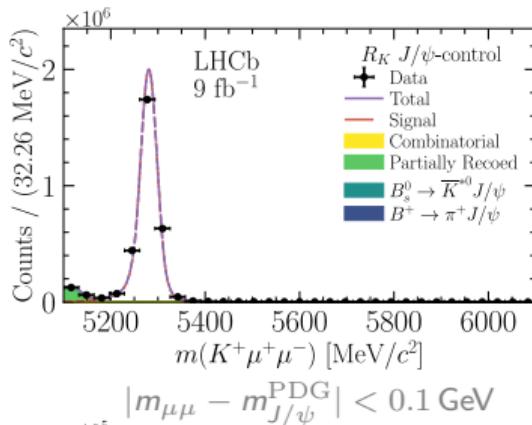
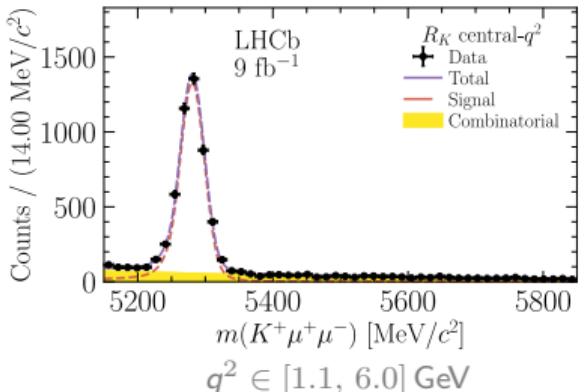
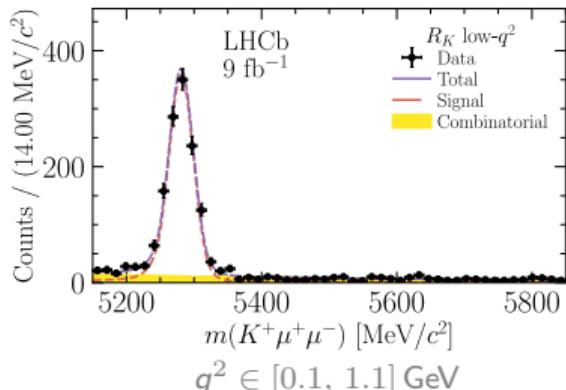
$$\sigma_E/E = 1\% + 10\%/\sqrt{E}$$

The LHCb detector



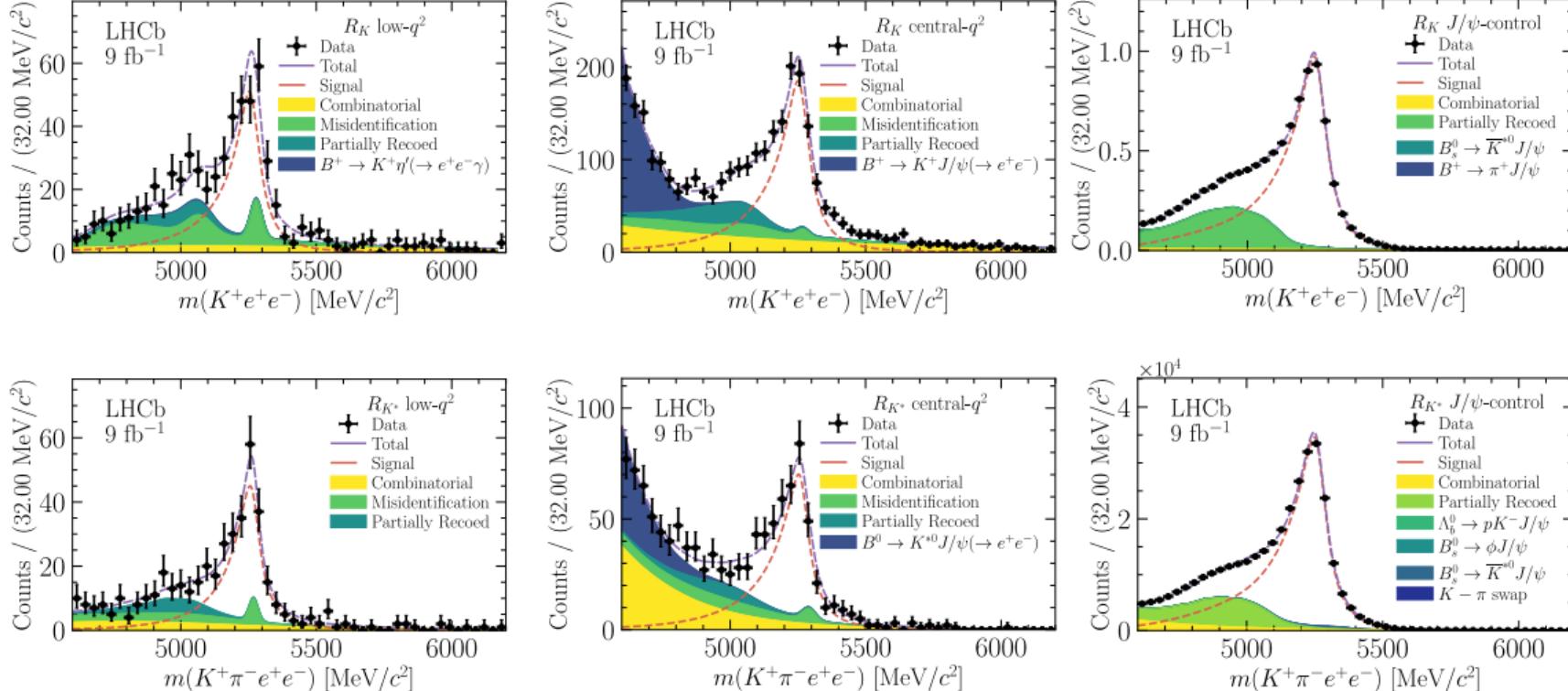
$$\varepsilon_{\mu \rightarrow \mu} \sim 97\%, \varepsilon_{\pi \rightarrow \mu} \sim 1 - 3\%$$

Muons at LHCb



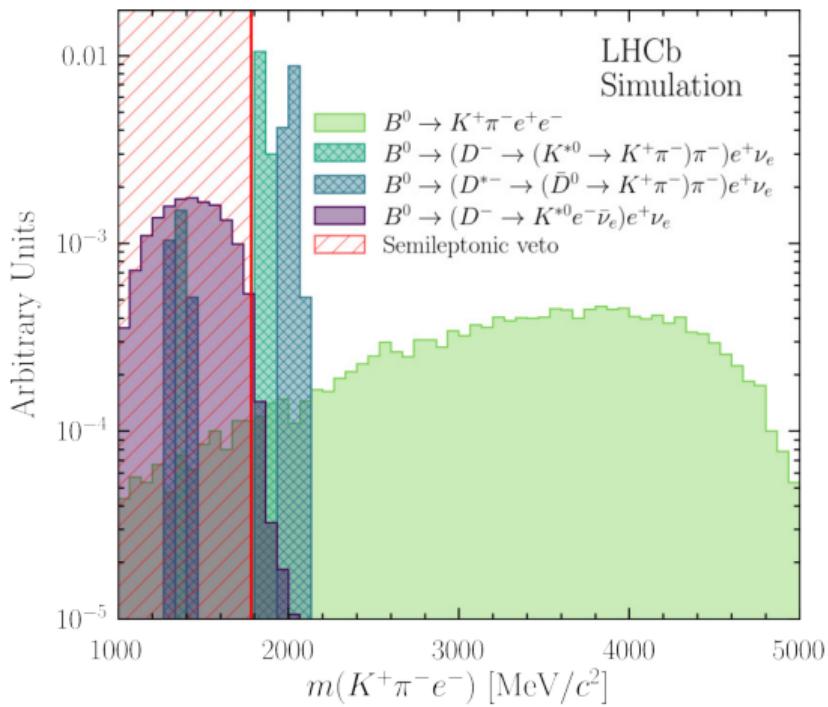
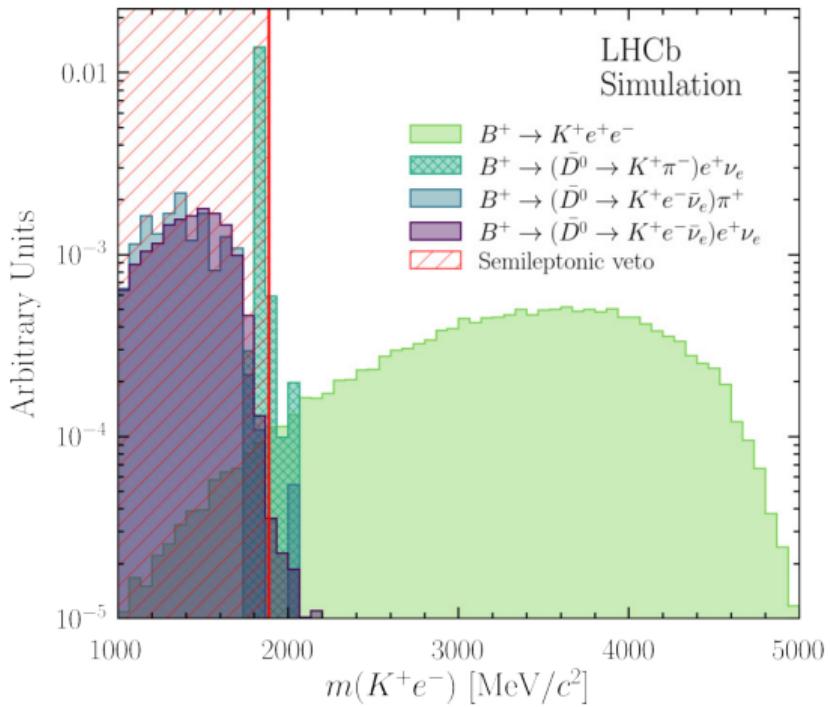
Well-defined very clean $\mu^+\mu^-$ peaks

Electrons at LHCb



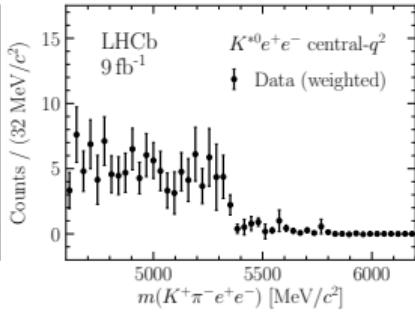
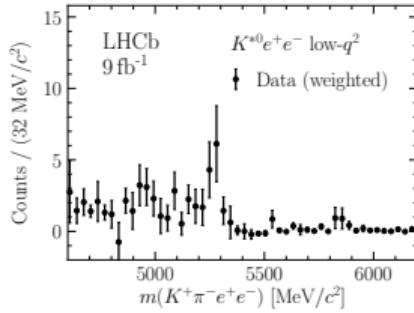
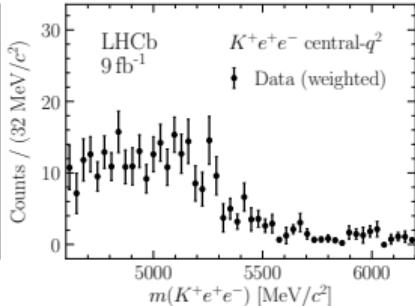
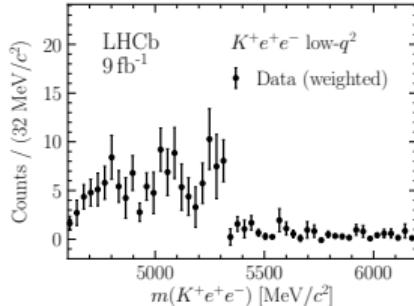
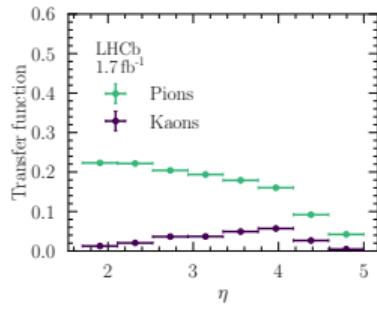
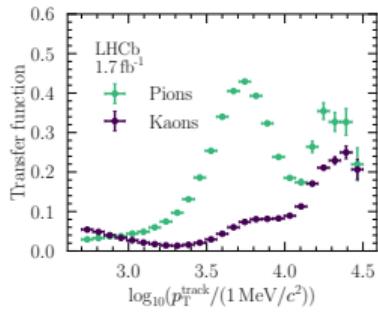
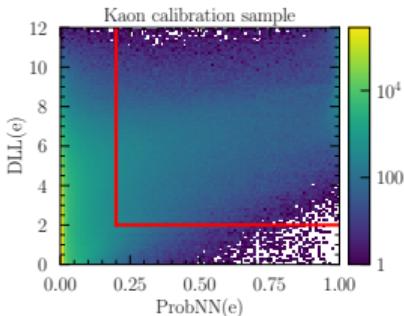
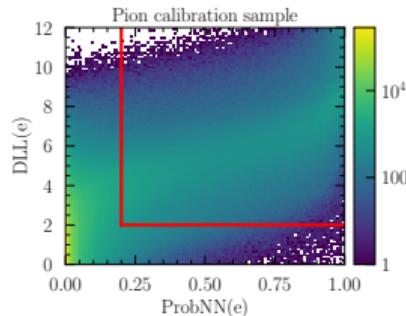
Diminished resolution of e^+e^- peaks, non-negligible background, challenging trigger, reco, PID

Background treatment in electron data (I)



Semileptonic “cascades” and particle swaps removed using PID criteria & specific vetoes

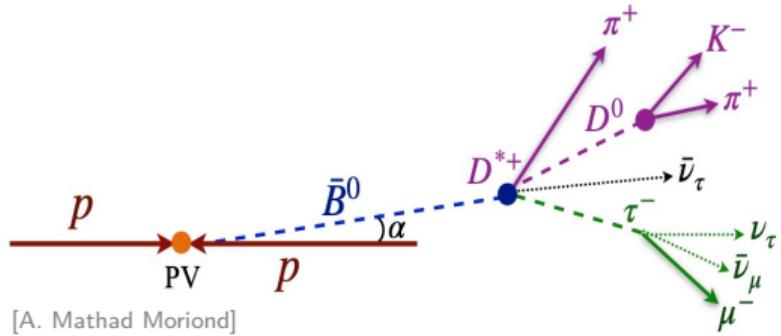
Background treatment in electron data (II)



Control samples from inverted PID used to predict hadronic misID contamination & shape

- includes but not limited to: $B \rightarrow K\pi\pi$, $B \rightarrow KKK$, $B \rightarrow KK\pi\pi$, ...

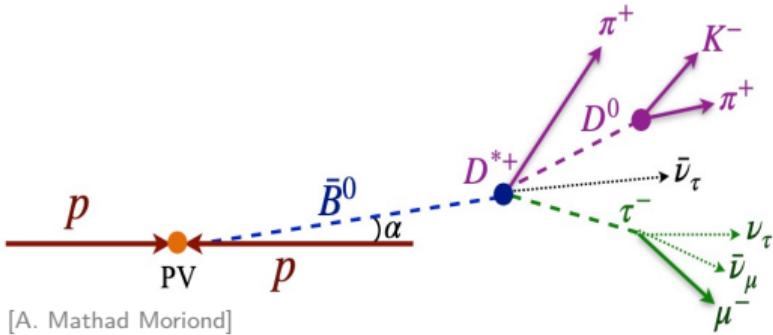
Taus at LHCb



Leptonic τ decays ($\mathcal{B} \sim 17\%$)

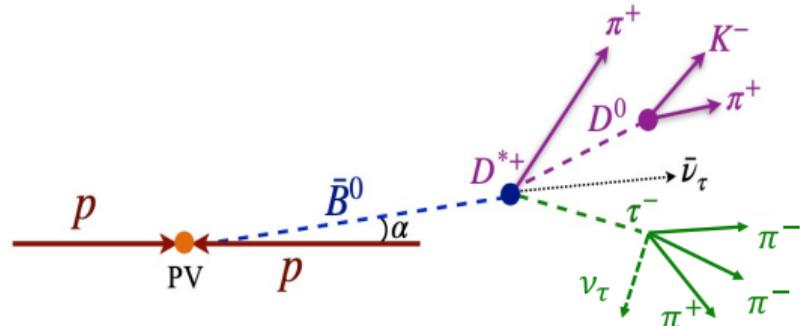
- main backgrounds:
 $B \rightarrow D^{**}\mu\nu$, $B \rightarrow D^{(*)}DX$
- muon mode can be used as normalisation
 - ✓ no need for external \mathcal{B} input
- today: $R_{D^0, D^*} 3 \text{ fb}^{-1}$ [arXiv:2302.02886]
 - ▶ $R_{D^*} = 0.281 \pm 0.018 \pm 0.024$
 - ▶ $R_{D^0} = 0.441 \pm 0.060 \pm 0.066$

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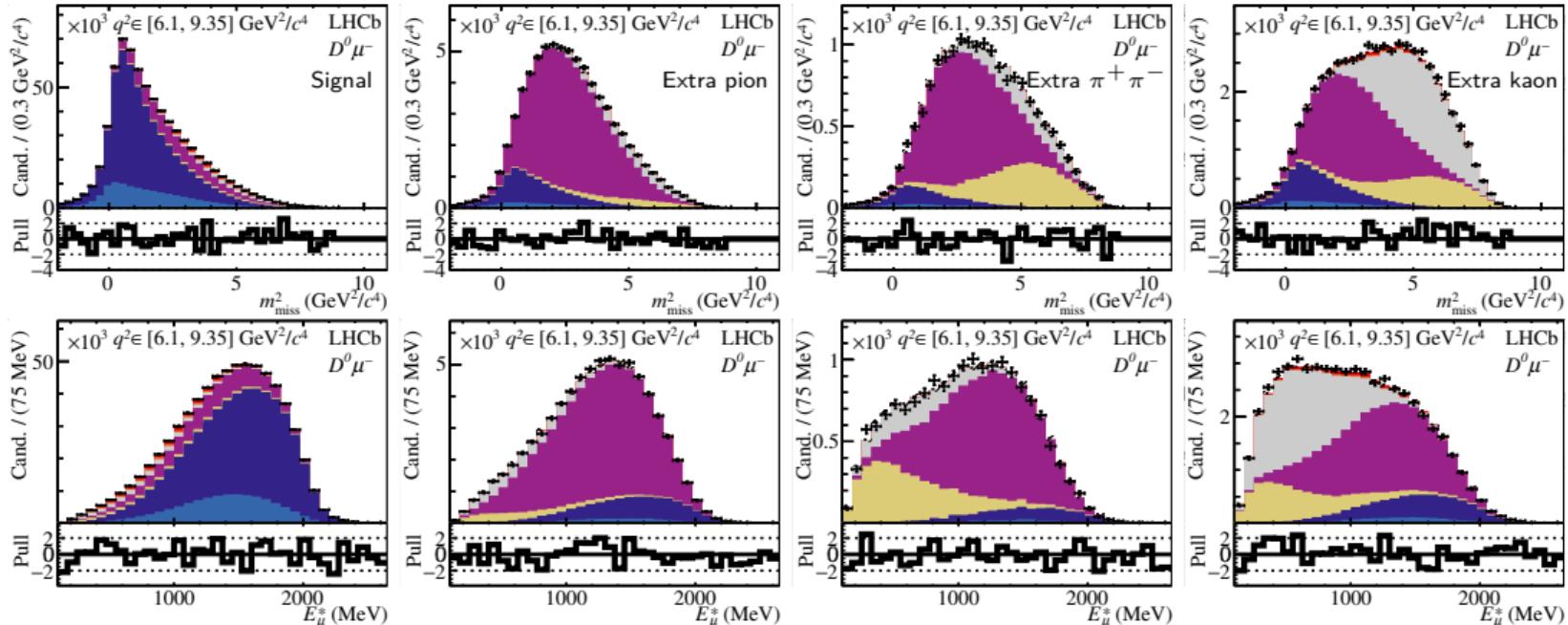
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Hadronic τ decays ($\mathcal{B} \sim 14\%$)

- main backgrounds:
 $B \rightarrow D^*\pi\pi\pi X$, $B \rightarrow D^*DX$
- can reconstruct tau decay vertex
 - ✓ can discriminate using e.g. lifetime
- today: R_{D^*} 2 fb^{-1} [arXiv:2305.01463]
 - ▶ $R_{D^*} = 0.247 \pm 0.015 \pm 0.015 \pm 0.012$

Background treatment in muonic tau data [arXiv:2302.02886]

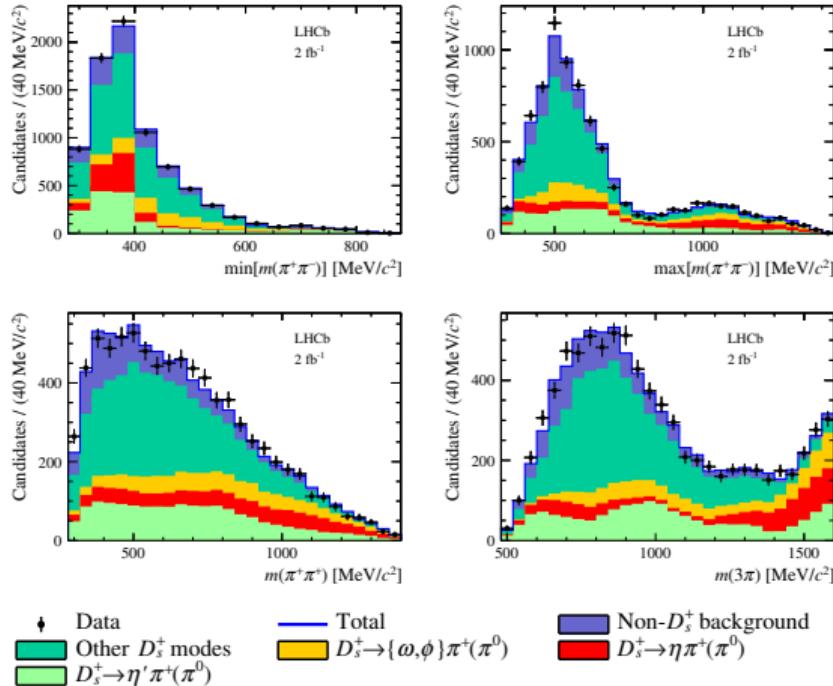


Max-likelihood template fit to q^2 , m_{miss}^2 , E_μ^*
in 1×2 signal region, 3×2 control regions

- ⊕ Data (3 fb^{-1})
- $B \rightarrow D^* \tau v$
- $B \rightarrow D \tau v$
- $B \rightarrow D^{(*)} D X$
- $B \rightarrow D^{**} \mu v$
- Comb. + misID
- $B \rightarrow D^0 \mu v$
- $B \rightarrow D^{*0} \mu v$
- $B \rightarrow D^{*+} \mu v$
- Stat. Unc.

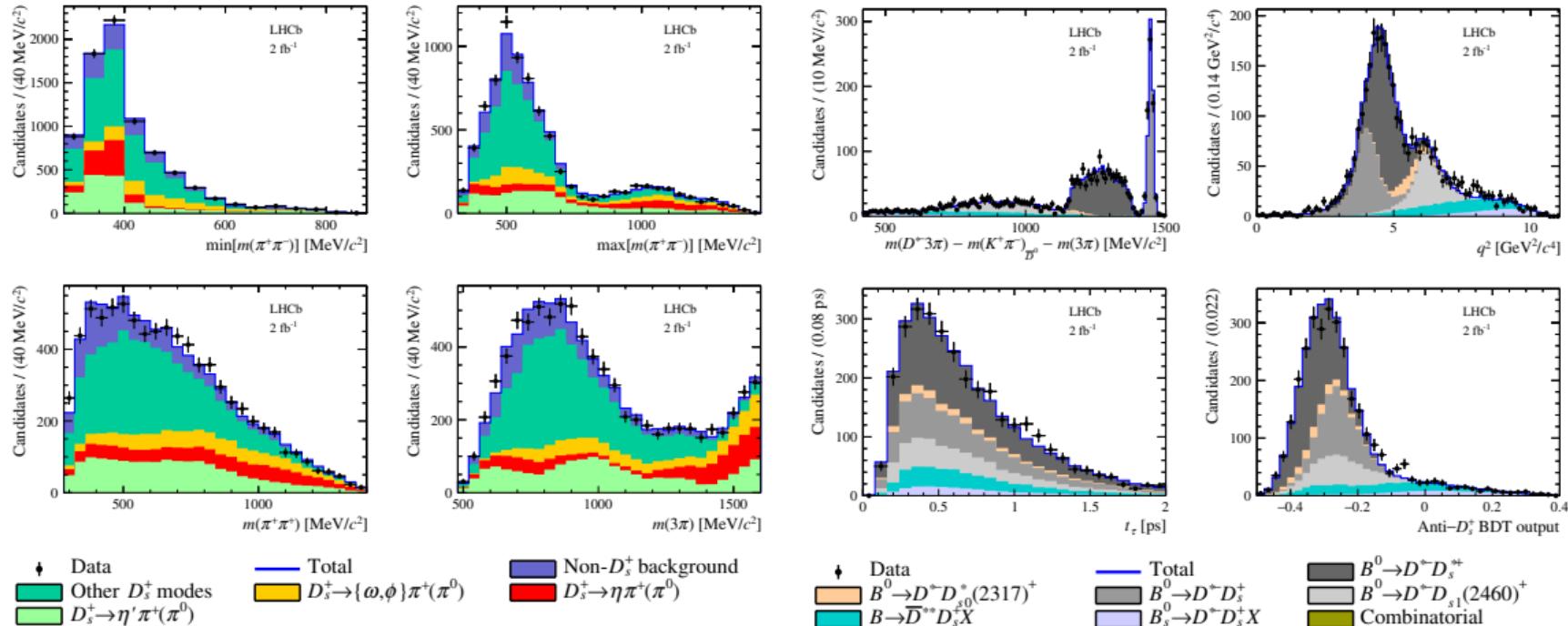
Invert isolation cuts to access background-enriched samples, fit simultaneously with signal

Background treatment in hadronic tau data [arXiv:2305.01463]



Correct simulated D_s^+ branching fractions using
 D_s^+ -enriched sample

Background treatment in hadronic tau data [arXiv:2305.01463]



Correct simulated D_s^+ branching fractions using
 D_s^+ -enriched sample

Constrain fit using relative abundance of D_s^+ production
modes determined in control data

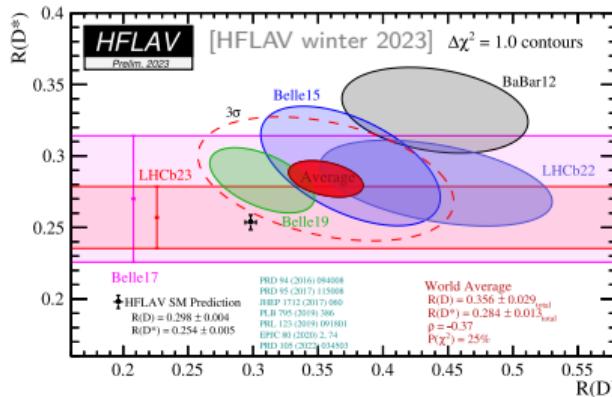
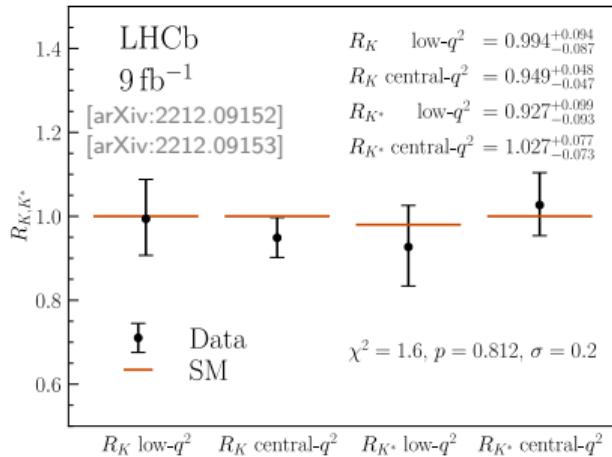
Summary

Rich LFU programme at LHCb

- branching-fraction ratios clean both theoretically and experimentally
- $b \rightarrow s\ell^+\ell^-$ R -values compatible with SM, persistent tensions in BFs
- $b \rightarrow c\ell^-\bar{\nu}_\ell$ R -values in up to 1.9σ tension (world average 3σ)

Tree-level and loop-level observables highly complementary

- different physics processes \Rightarrow constrain NP in different ways



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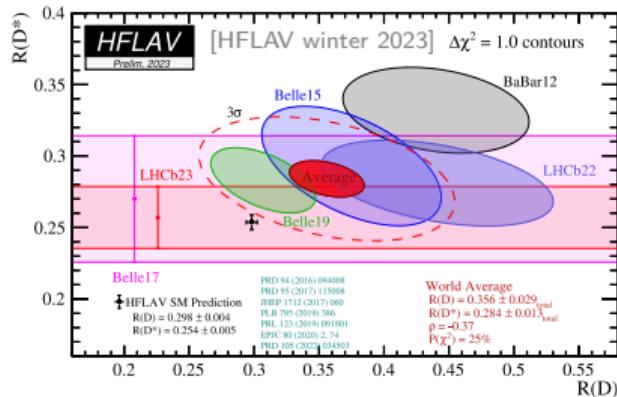
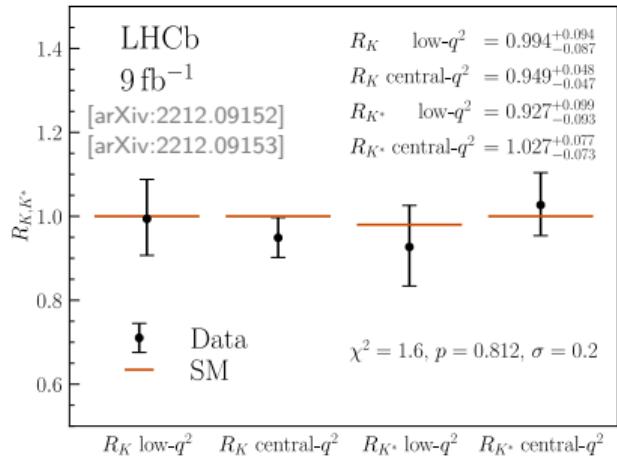
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Tree-level and loop-level observables highly complementary

- different physics processes \Rightarrow constrain NP in different ways

LHCb leptons are nearly the same in theory and barely the same in practice.

- electrons: diminished resolution, misID & part-reco backgrounds
- muons: clean in pairs, non-trivial with neutrinos
- taus: challenging to reconstruct
- these challenges add up in e.g. $\tau^+\tau^-$, $e^-\bar{\nu}_e$

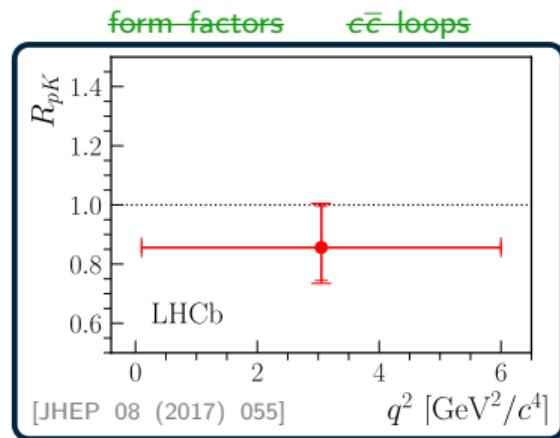
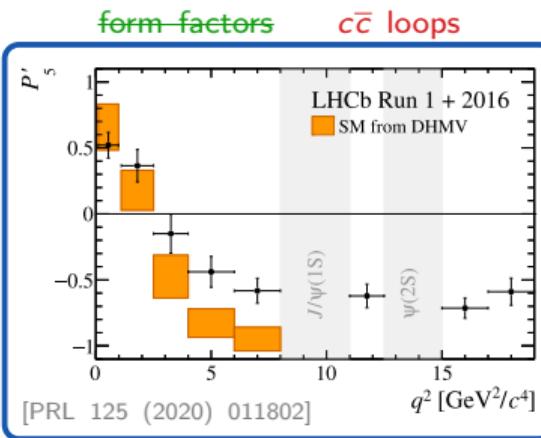
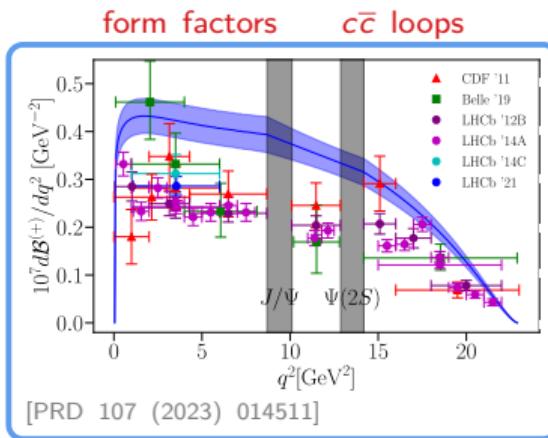


BACKUP

Anomalous $b \rightarrow s\ell^+\ell^-$ observables

A pattern of interlinked anomalies has emerged in studies of $b \rightarrow s\ell^+\ell^-$ processes.

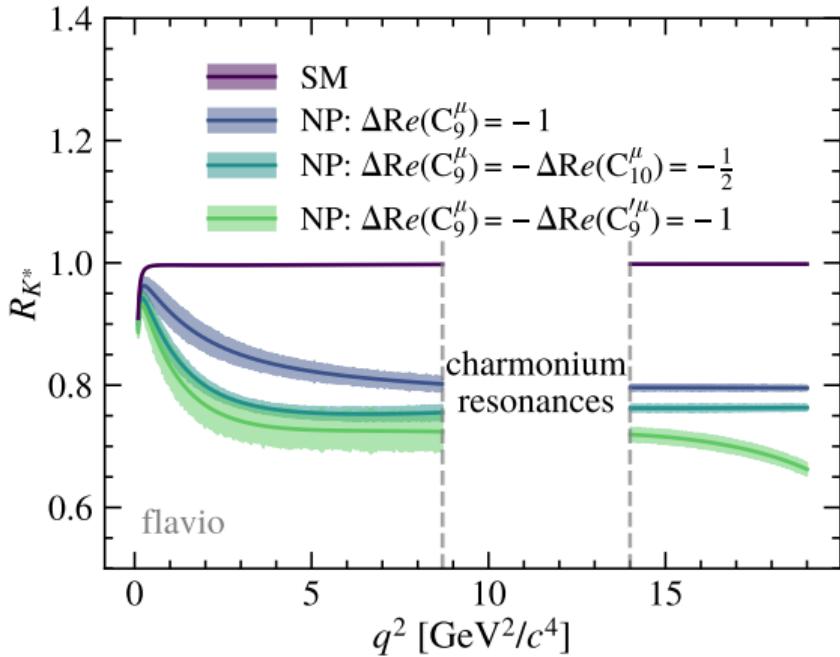
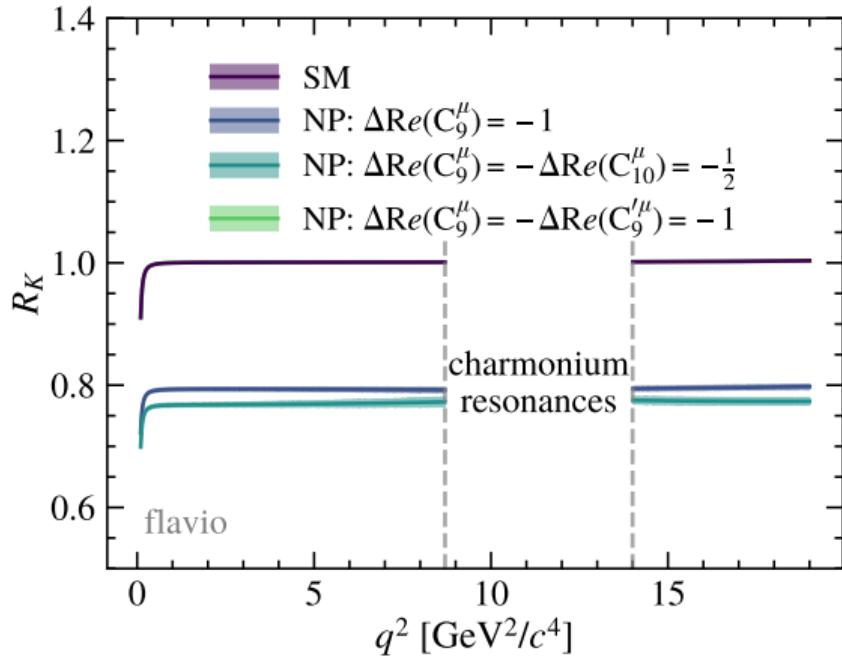
- branching fractions of e.g. $B^+ \rightarrow K^+\ell^+\ell^-$ consistently below SM
- angular observables in e.g. $B^0 \rightarrow K^{*0}\mu^+\mu^-$ consistently above SM
- ratios of branching fractions, such as R_{pK} compatible with but consistently below SM



Effective operators

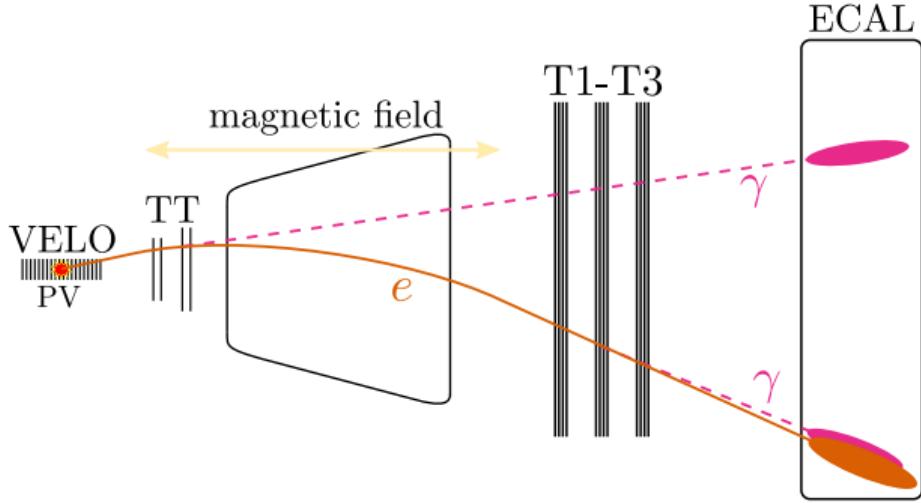
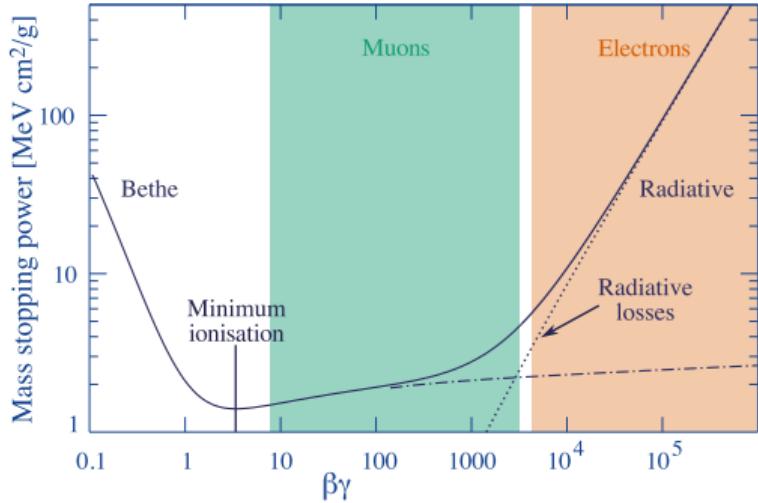
Photon penguin	$\mathcal{O}_7 = \frac{m_b}{g_e} (\bar{s}\sigma^{\mu\nu} b_R) F_{\mu\nu}$	$\mathcal{O}'_7 = \frac{m_b}{g_e} (\bar{s}\sigma^{\mu\nu} b_L) F_{\mu\nu}$
Vector penguin	$\mathcal{O}_9 = (\bar{s}\gamma_\mu b_L)(\bar{\ell}\gamma^\mu \ell)$	$\mathcal{O}'_9 = (\bar{s}\gamma_\mu b_R)(\bar{\ell}\gamma^\mu \ell)$
Axial vector penguin	$\mathcal{O}_{10} = (\bar{s}\gamma_\mu b_L)(\bar{\ell}\gamma^\mu \gamma_5 \ell)$	$\mathcal{O}'_{10} = (\bar{s}\gamma_\mu b_R)(\bar{\ell}\gamma^\mu \gamma_5 \ell)$
Scalar	$\mathcal{O}_S = (\bar{s}b_R)(\bar{\ell}\ell)$	$\mathcal{O}'_S = (\bar{s}b_L)(\bar{\ell}\ell)$
Pseudoscalar	$\mathcal{O}_P = (\bar{s}b_R)(\bar{\ell}\gamma_5 \ell)$	$\mathcal{O}'_P = (\bar{s}b_L)(\bar{\ell}\gamma_5 \ell)$

Different NP scenarios



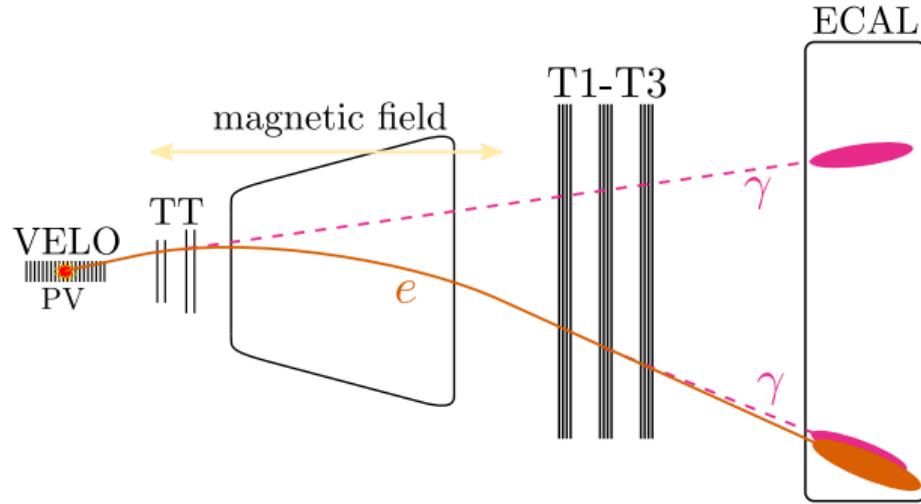
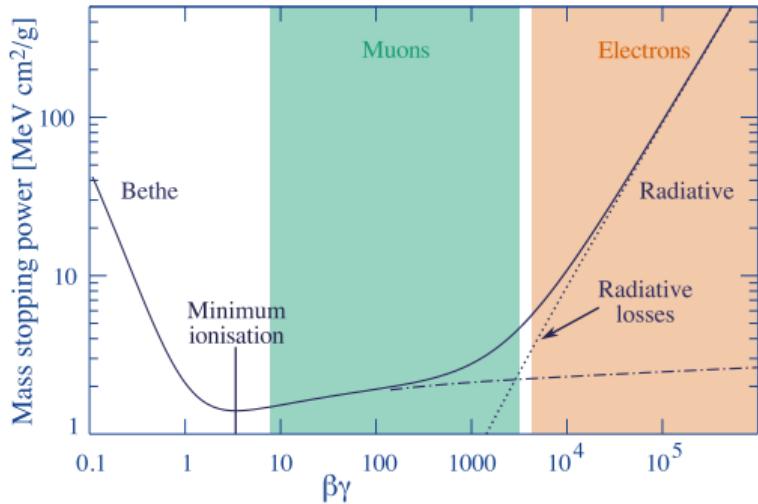
Example (preferred) NP scenarios that lead to downwards shift in R_{K,K^*} (incl. trends)

Electrons at LHCb



Radiative losses induce muon-electron detection differences (reco, trigger, PID, etc.).

Electrons at LHCb

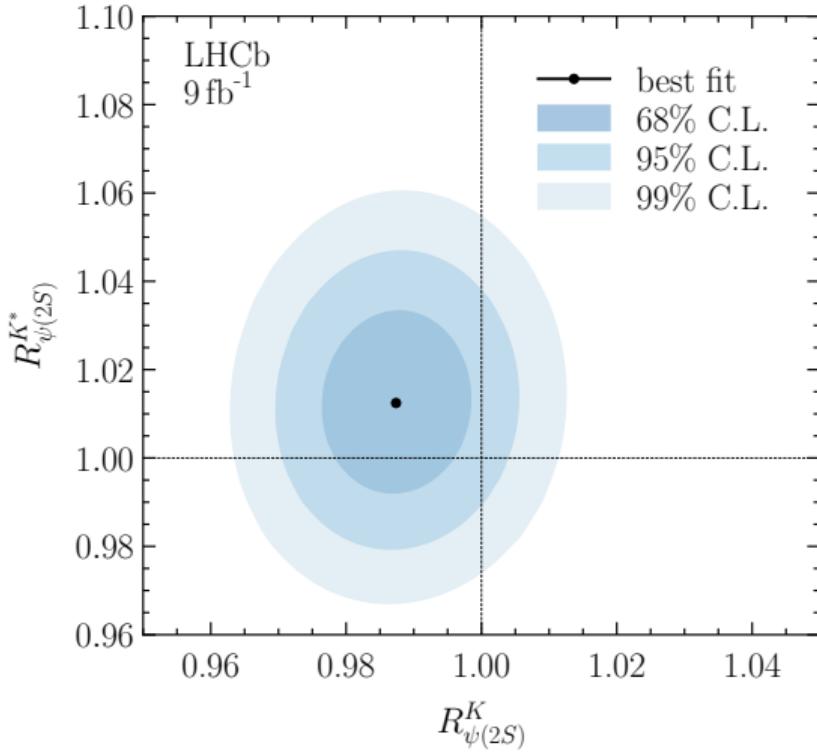
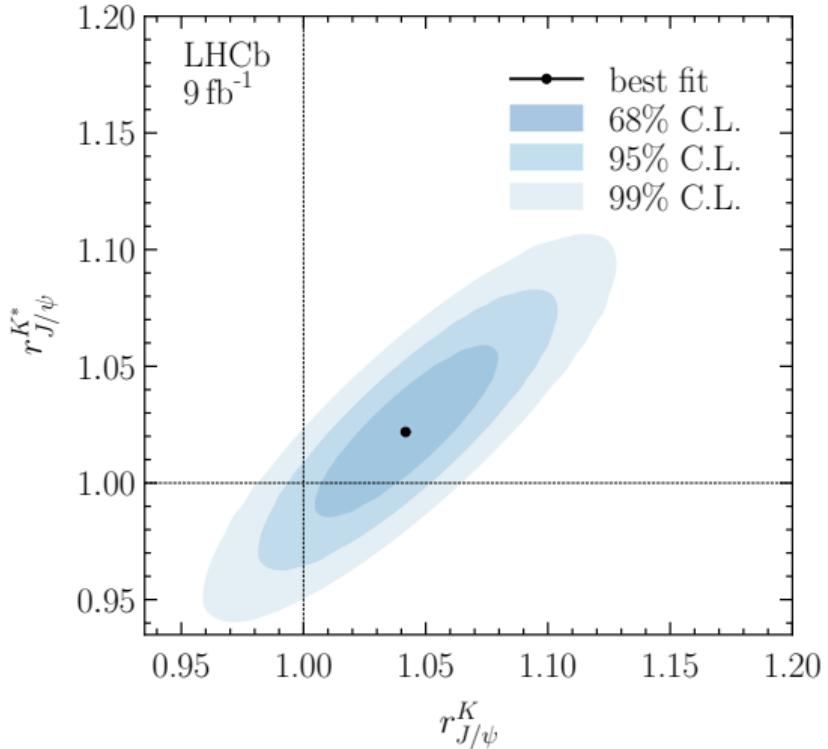


Radiative losses induce muon-electron detection differences (reco, trigger, PID, etc.).

$$R_{K,K^*} = \left(\frac{N_{\text{rare}}^{\mu\mu}}{\varepsilon_{\text{rare}}^{\mu\mu}} / \frac{N_{\text{rare}}^{ee}}{\varepsilon_{\text{rare}}^{ee}} \right) \Bigg/ \underbrace{\left(\frac{N_{J/\psi}^{\mu\mu}}{\varepsilon_{J/\psi}^{\mu\mu}} / \frac{N_{J/\psi}^{ee}}{\varepsilon_{J/\psi}^{ee}} \right)}_{r_{J/\psi}} = \left(\frac{N_{\text{rare}}^{\mu\mu}}{N_{J/\psi}^{\mu\mu}} / \frac{\varepsilon_{\text{rare}}^{\mu\mu}}{\varepsilon_{J/\psi}^{\mu\mu}} \right) \Bigg/ \left(\frac{N_{\text{rare}}^{ee}}{N_{J/\psi}^{ee}} / \frac{\varepsilon_{\text{rare}}^{ee}}{\varepsilon_{J/\psi}^{ee}} \right)$$

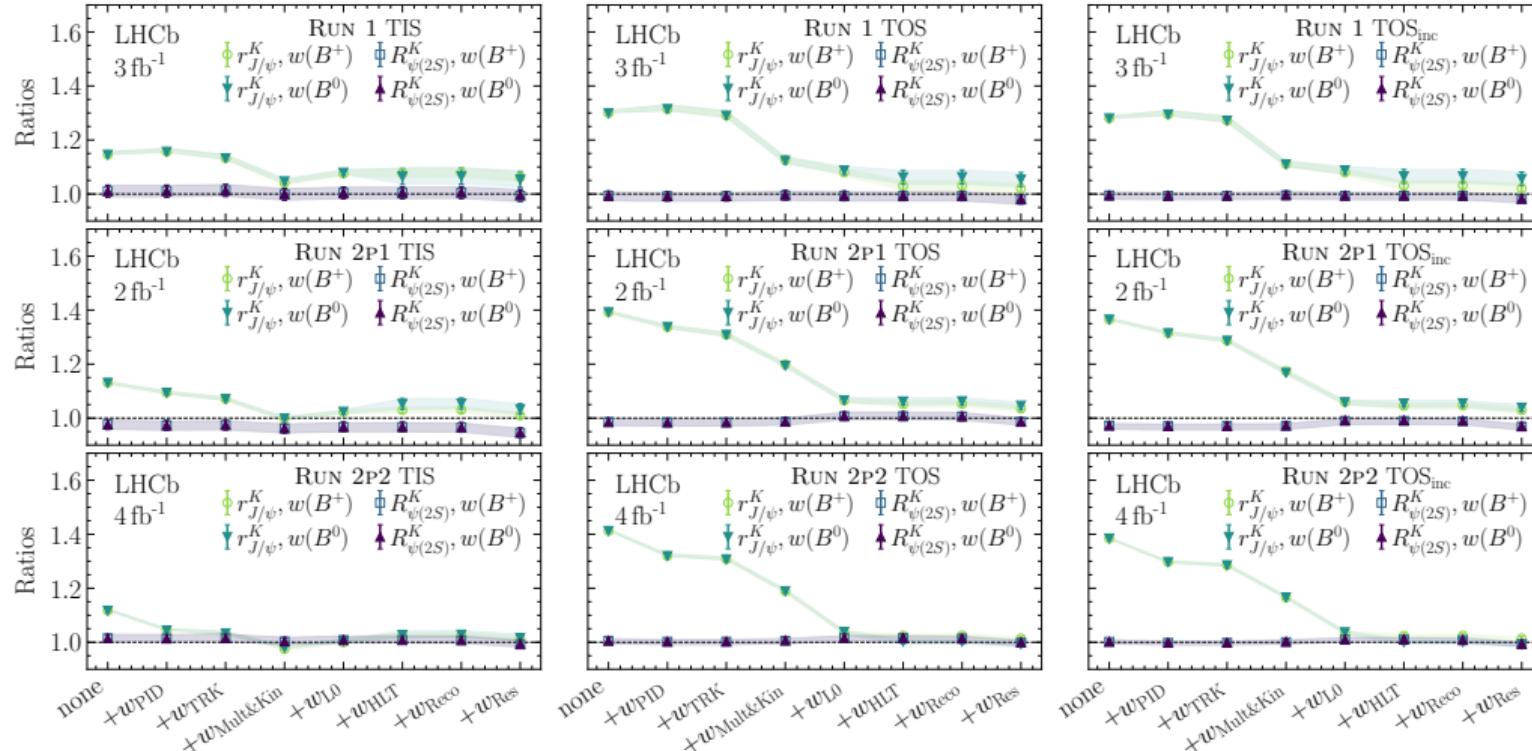
Double-ratio formalism employed to cancel most muon-electron differences, conduct cross-checks.

Cross-checks: ratios



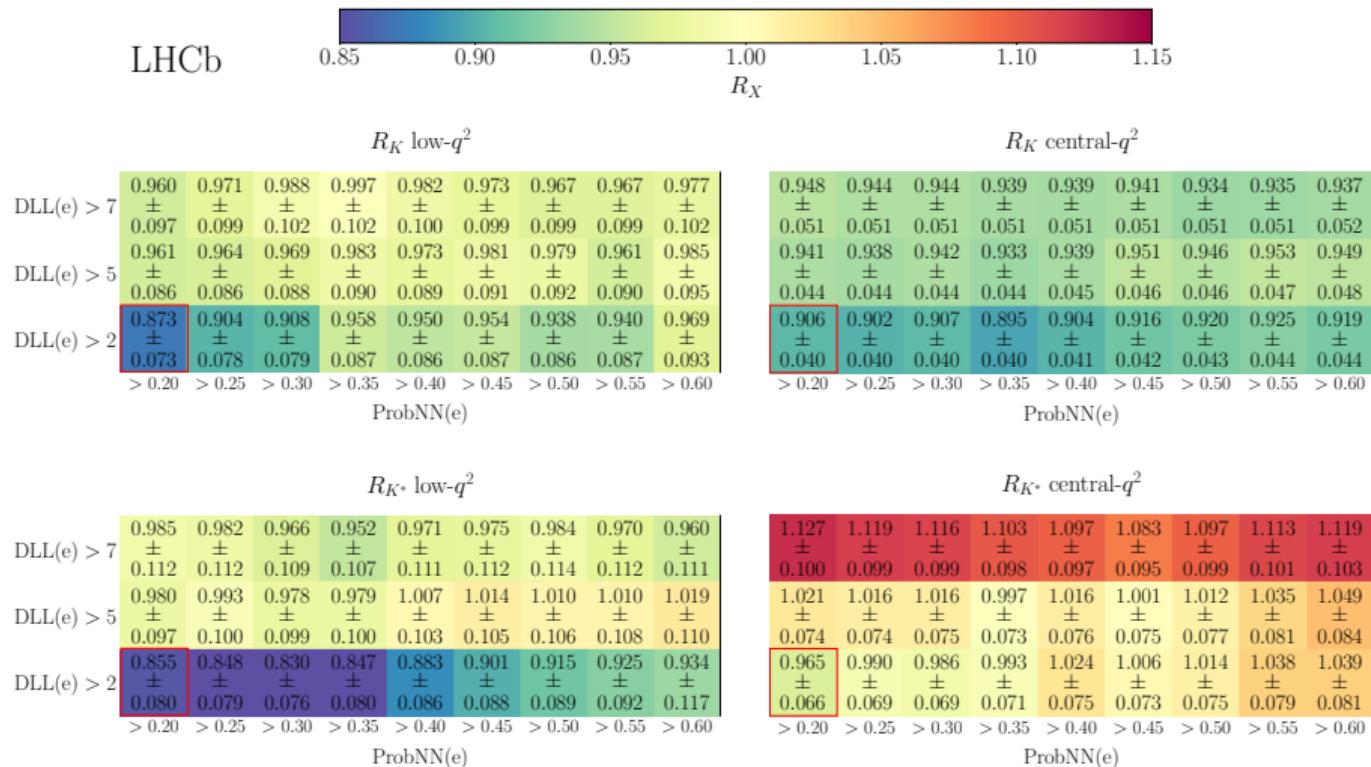
Single ratio probes electron-muon agreement (stringent), double ratio checks stability outside nominal q^2 region.

Simulation correction chain



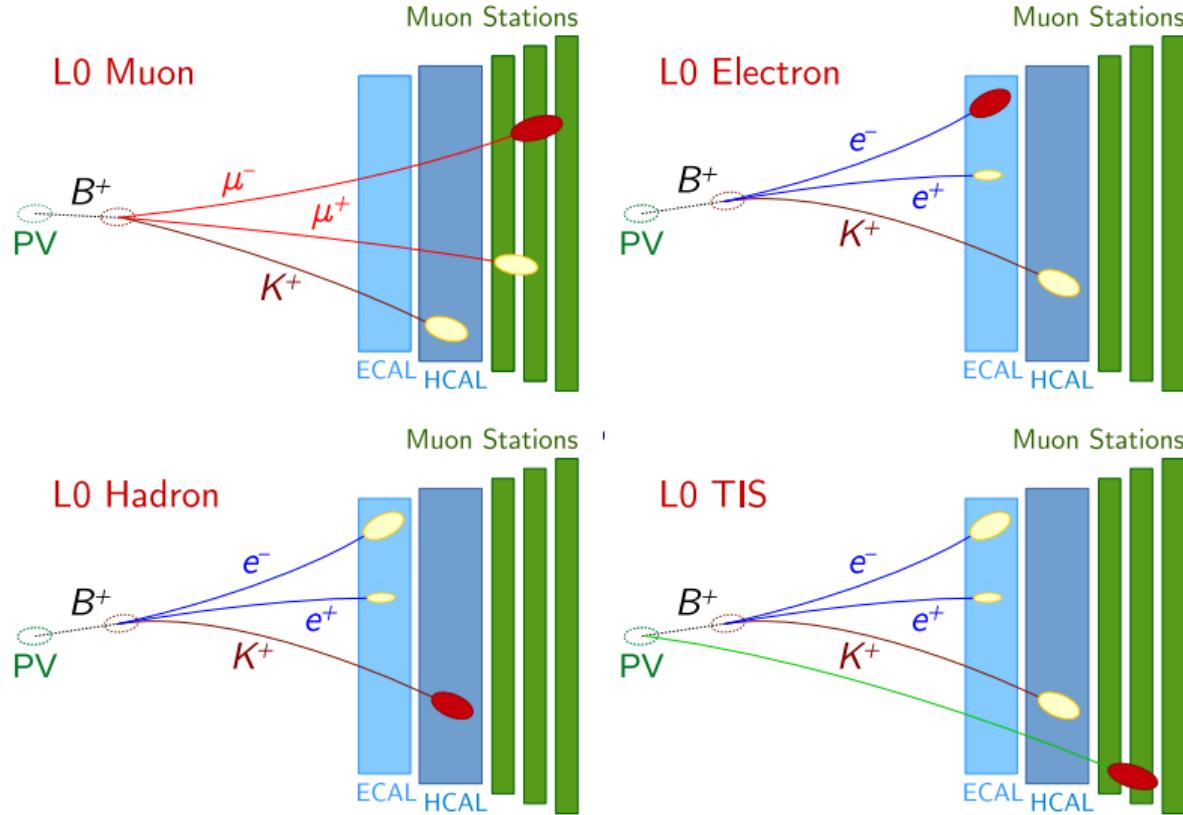
Corrections applied sequentially to calibrate: PID, tracking, multiplicity, kinematics, trigger, reconstruction, mass resolution

Electron PID scans

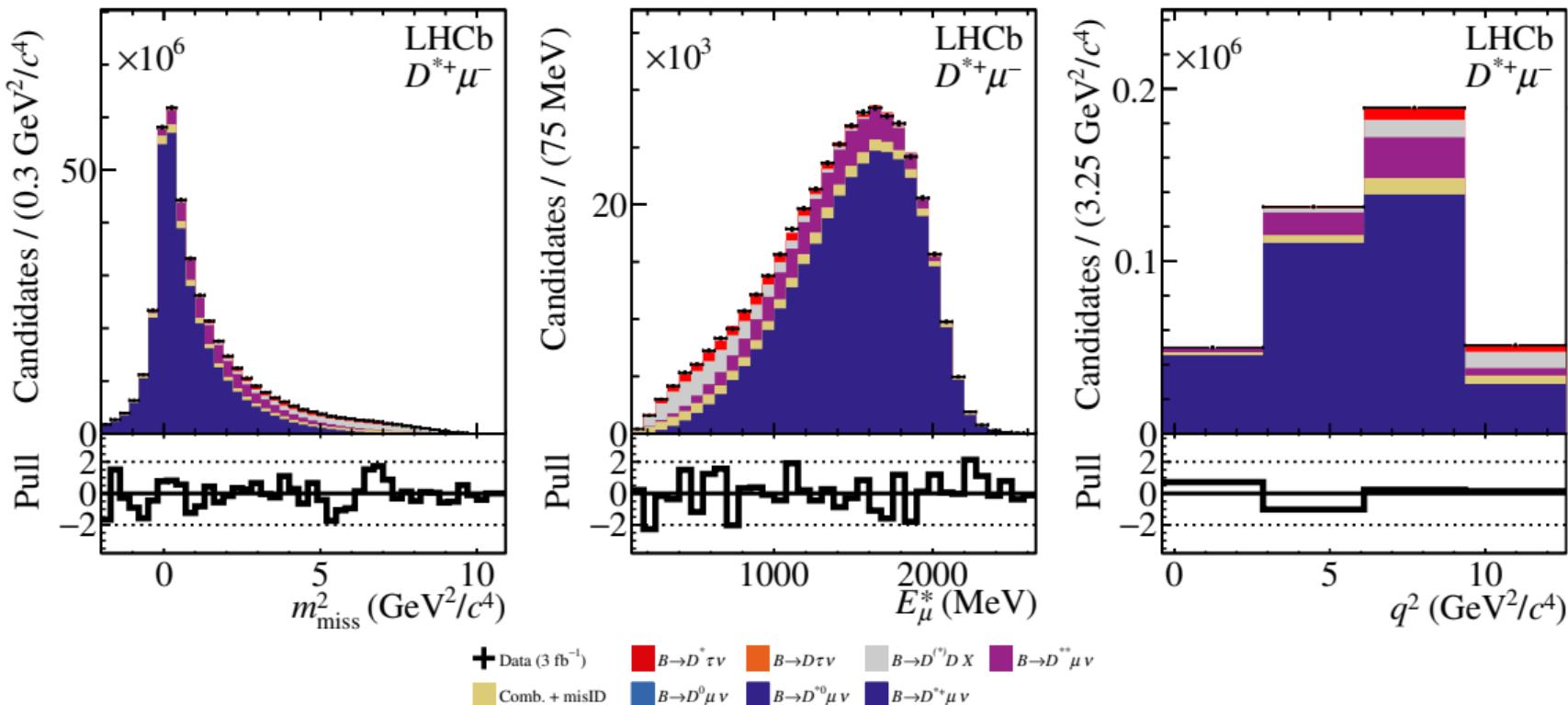


Coherent pattern found when tightening electron PID requirements

Trigger strategy

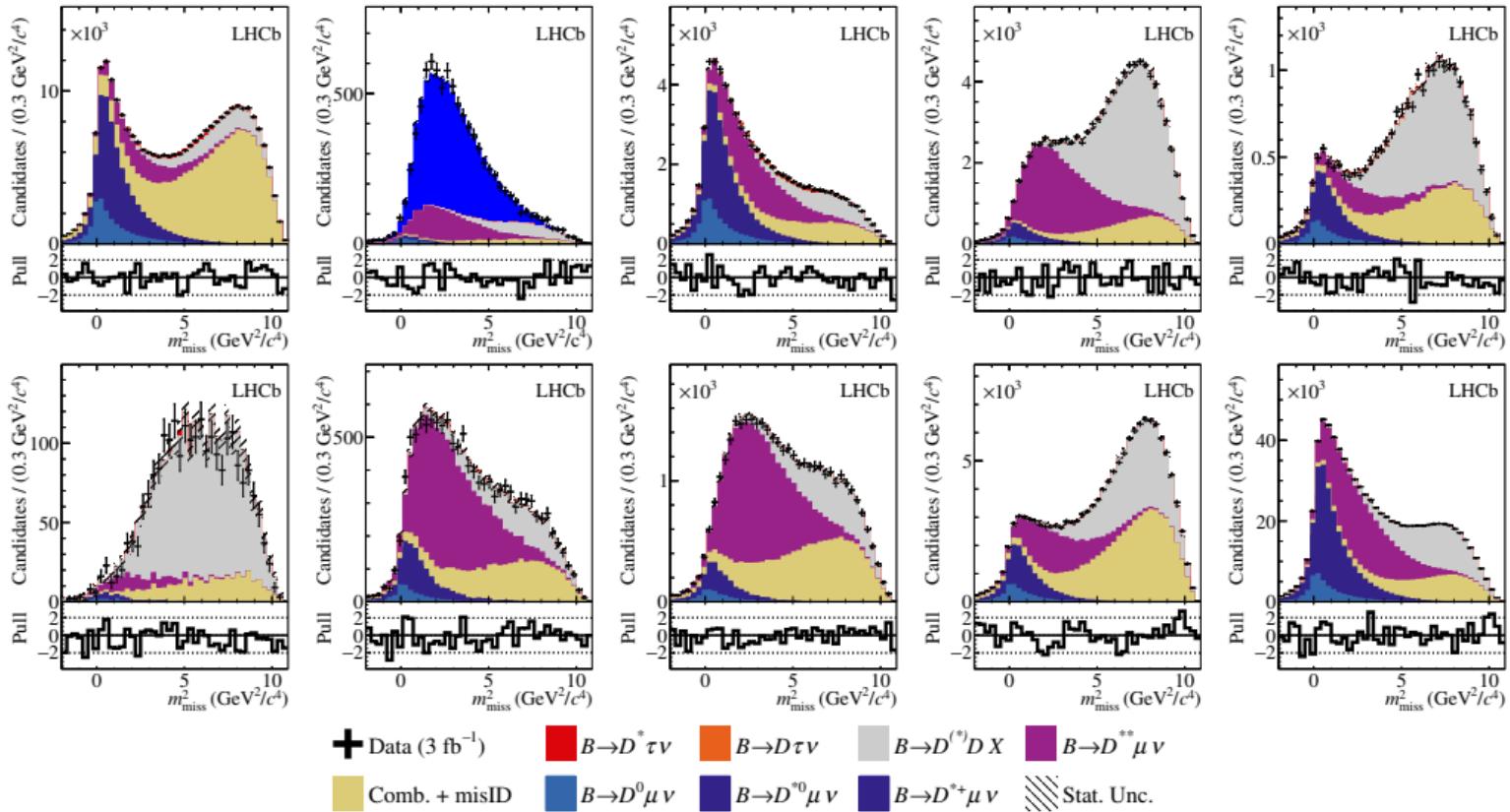


Semileptonic tau decays: muonic signal

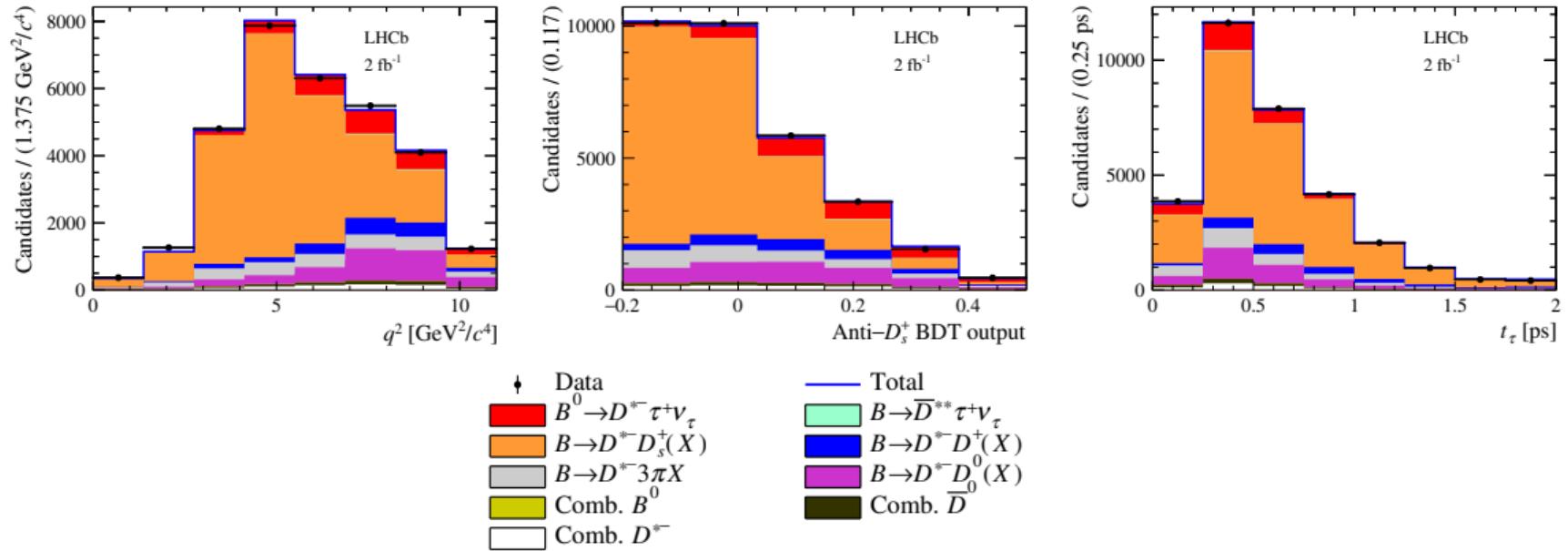


$D^* \tau \nu$ typically has larger missing mass & q^2 , lower E_μ^* cf. $D^* \mu \nu$

Validation regions for muonic tau data



Semileptonic tau decays: hadronic signal



Signal found predominantly at high- q^2 and $t_\tau \sim 0.3 \text{ ps}$; $D_s^+ \rightarrow 3\pi X$ suppressed via BDT.