

Luminosity determination using Z boson production at the CMS experiment

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submitted to EPJC [arXiv:2309.01008]

Z → μμ events are produced at the LHC at a high rate and have a clean signature

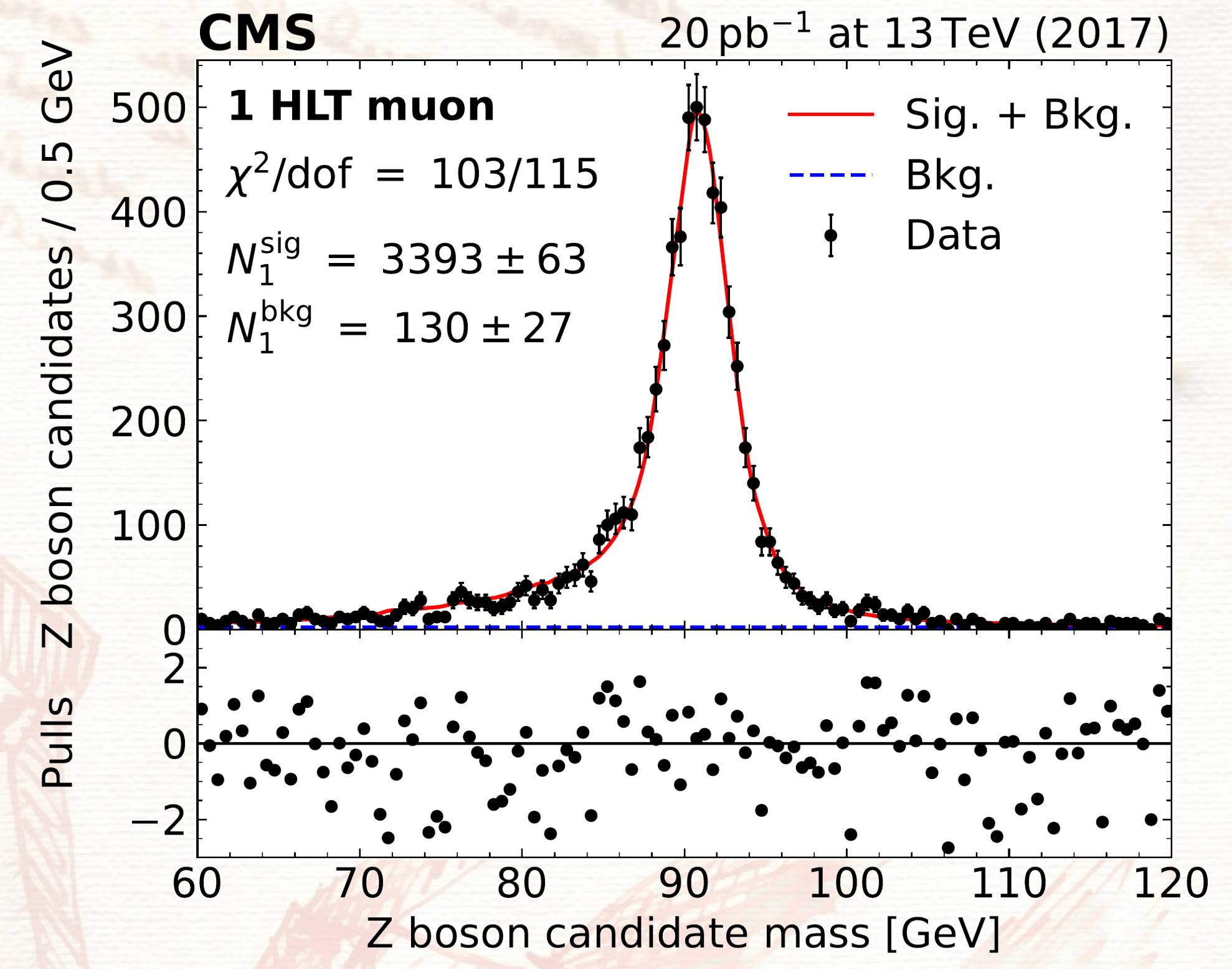
- Unique features for luminosity determination
- Completely complementary to traditional luminometers
- Simultaneous extraction of Z boson yield and efficiency
- Mutually exclusive categories for correct statistical treatment

$$\mathcal{L} = \frac{N^Z}{\sigma_{\text{fid}}^Z \epsilon^Z}$$

Subtraction of background through fits to invariant mass of di-muon pairs

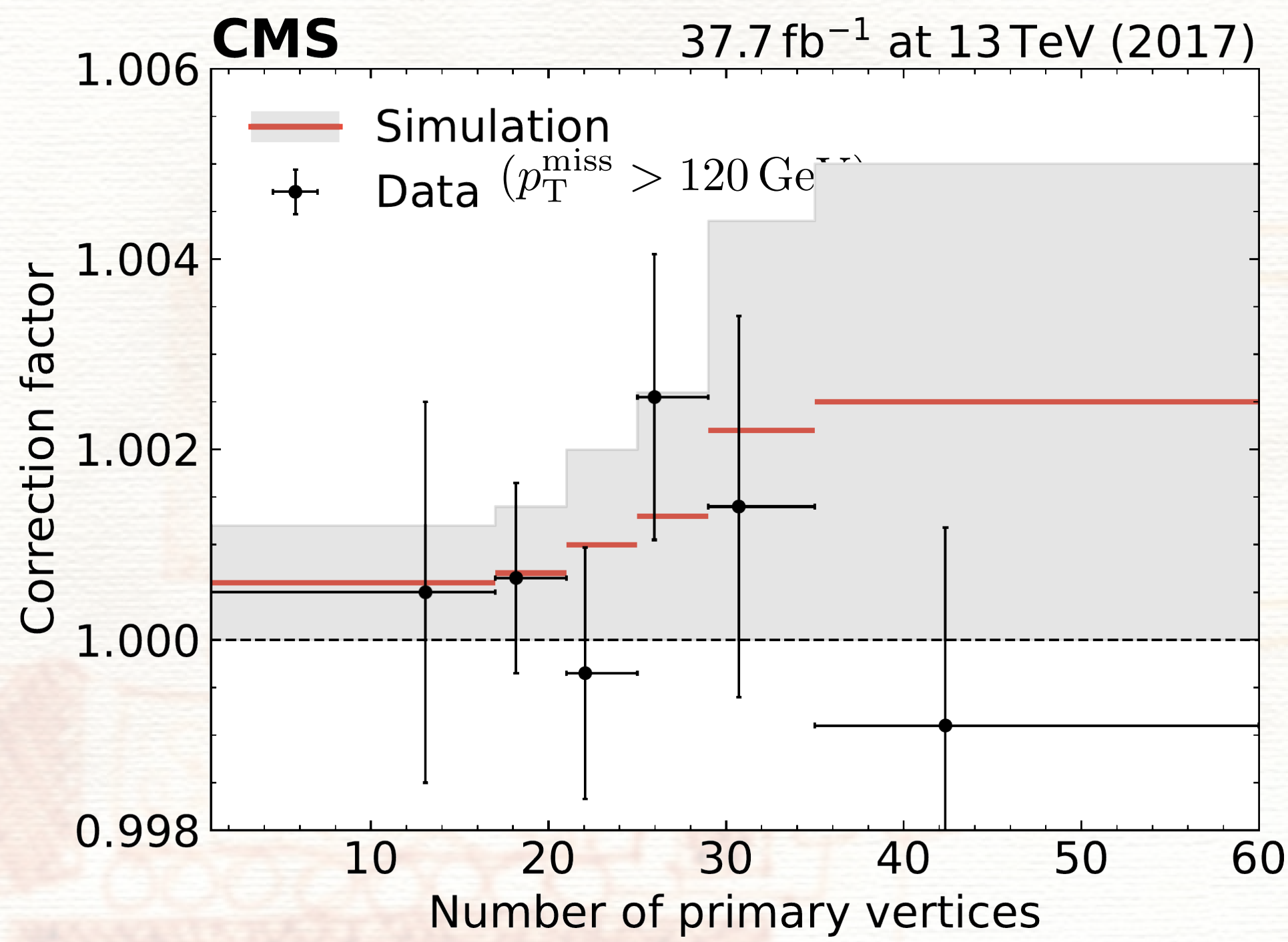
$$N_1 = 2\epsilon_{\text{HLT}}^\mu (1 - C_{\text{HLT}} \epsilon_{\text{HLT}}^\mu) \epsilon_{\text{ID}}^Z N^Z + N_1^{\text{bkg}}$$

$$N_2 = C_{\text{HLT}} (\epsilon_{\text{HLT}}^\mu)^2 \epsilon_{\text{ID}}^Z N^Z + N_2^{\text{bkg}}$$



Di-muon correlation at trigger level C_{HLT}

- Mainly caused by online trigger isolation
- Correction from simulation – validated in data



Muon trigger, identification, and reconstruction efficiencies measured in situ

- Two independent muon momentum measurements to obtain full absolute efficiency

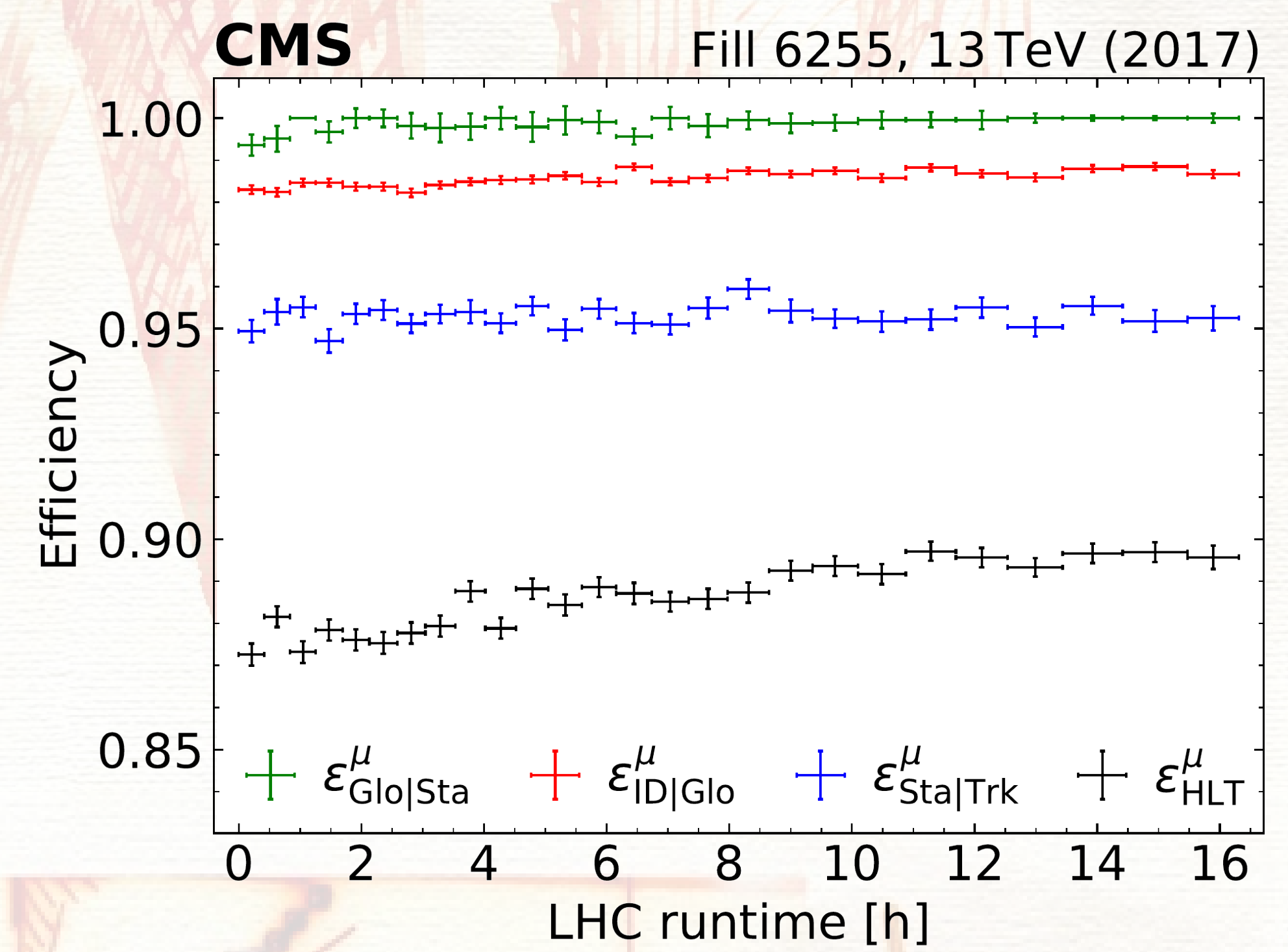
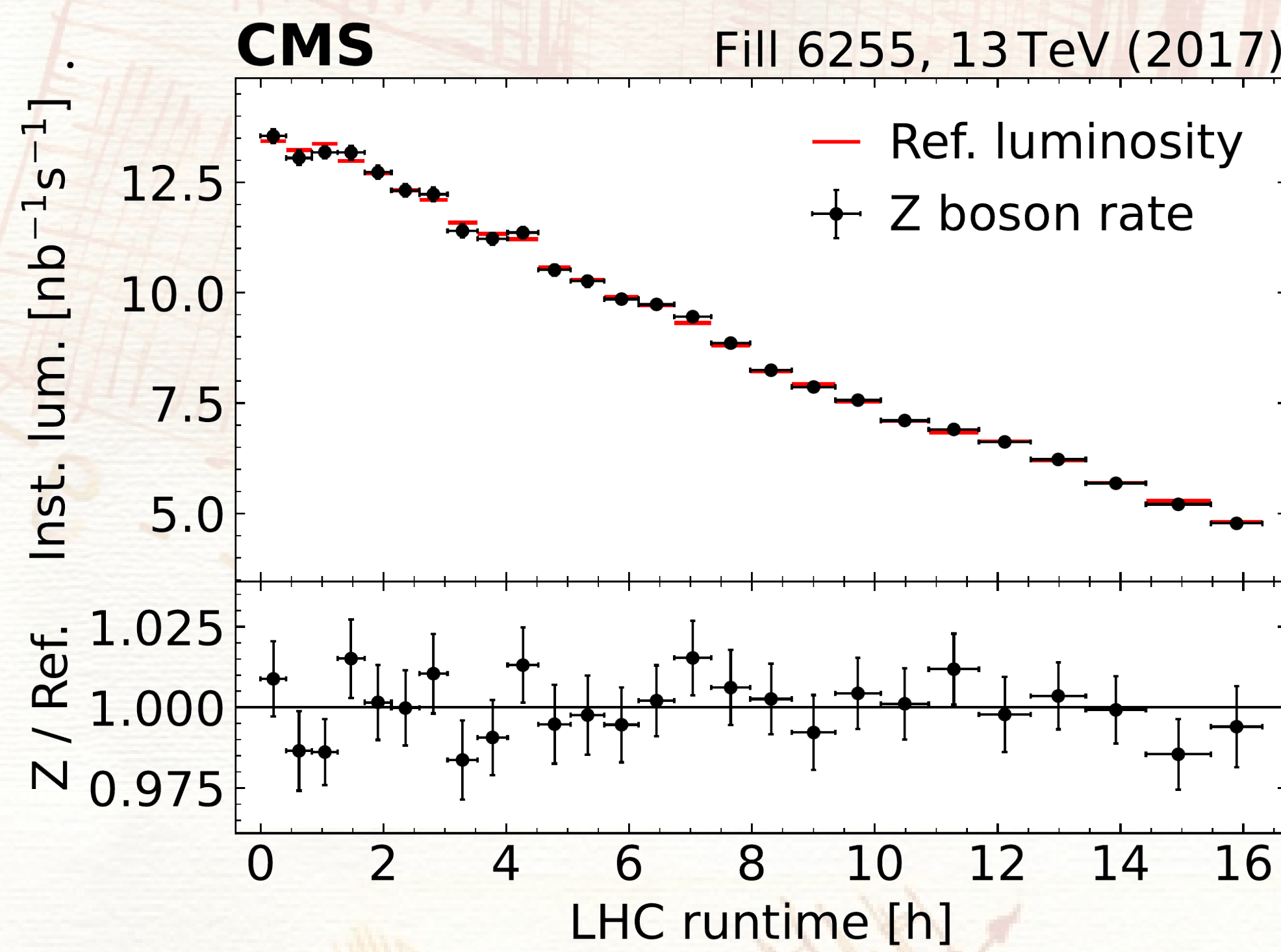
$$\epsilon_{\text{ID}}^\mu = \underbrace{\epsilon_{\text{ID}|\text{Glo}}^\mu}_{\text{inner track}} \cdot \underbrace{\epsilon_{\text{Glo}|\text{Sta}}^\mu}_{\text{outer track}} \cdot \epsilon_{\text{Sta}|\text{Trk}}^\mu$$

Muon efficiencies measured via tag and probe

$$\epsilon_{x|y}^\mu = \frac{n^p}{n^p + n^f}$$

Measurements performed in short time intervals

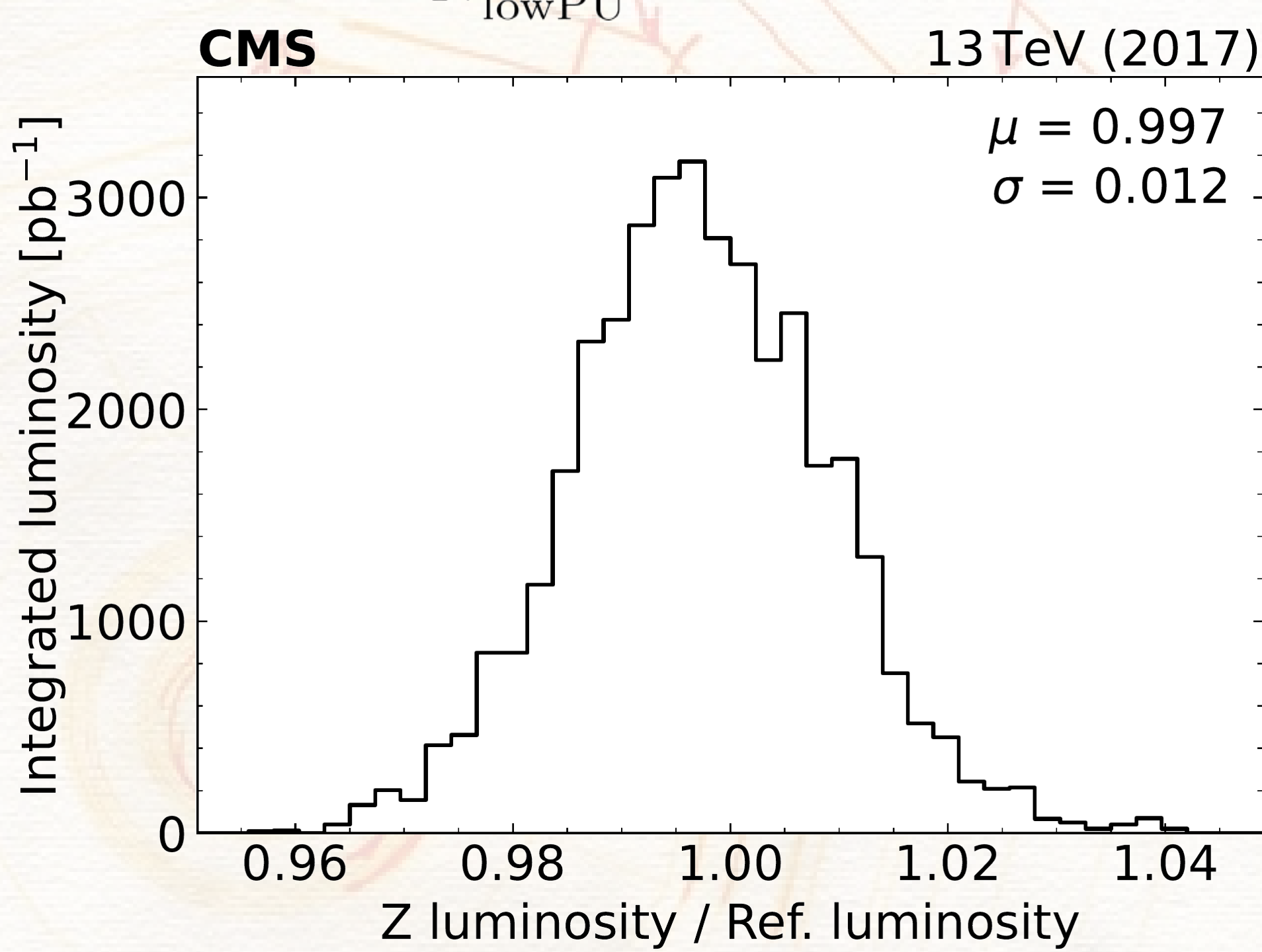
- Track time dependent detector conditions



Absolute scale from low pileup data

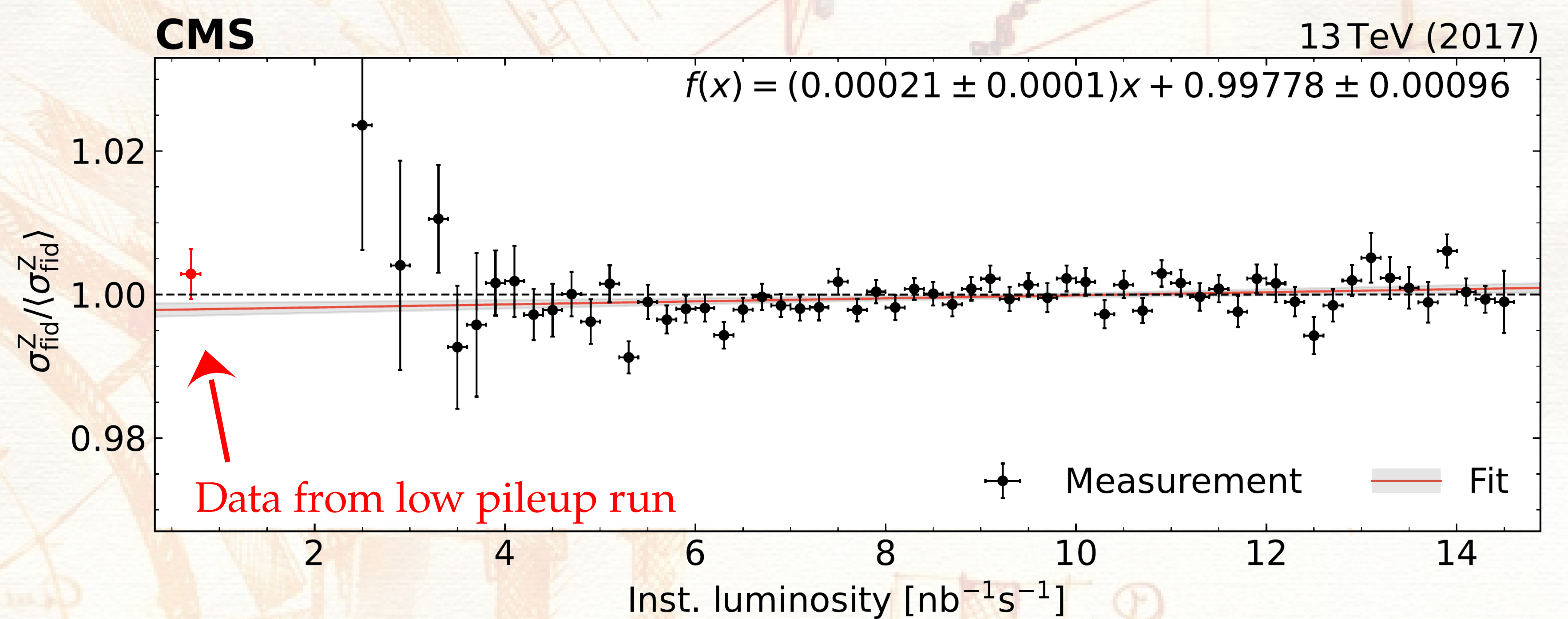
- Correlated uncertainties cancel in ratio

$$\mathcal{L}_{\text{highPU}} = \frac{N_{\text{highPU}}^Z}{N_{\text{lowPU}}^Z} \mathcal{L}_{\text{lowPU}}$$



Extrapolation from low to high pileup studied from 1-14 nb⁻¹s⁻¹ combining full 2017 data

- Both measurements agree to a level of 0.2%



Both measurements agree to a level of 0.3%

First time study of complete set of systematic uncertainties

$$\begin{aligned} \delta r &= \delta(N_{\text{highPU}}^Z / N_{\text{lowPU}}^Z) = \begin{matrix} +0.47\% \\ -0.45\% \end{matrix} \\ &= \begin{matrix} +0.31\% \\ -0.28\% \end{matrix} (\text{syst}) \pm 0.35\% (\text{stat}) \end{aligned}$$

Leading systematic uncertainties

- Muon momentum resolution
- Signal and background modeling
- L1 muon/ ECAL prefire

Outlook & discussion:

Given $\delta\mathcal{L}_{\text{lowPU}} = 1.7\%$ we can extract $\delta\mathcal{L}_{\text{highPU}} = \delta\left(\frac{N_{\text{highPU}}^Z}{N_{\text{lowPU}}^Z} \mathcal{L}_{\text{lowPU}}\right) = 1.73\%$

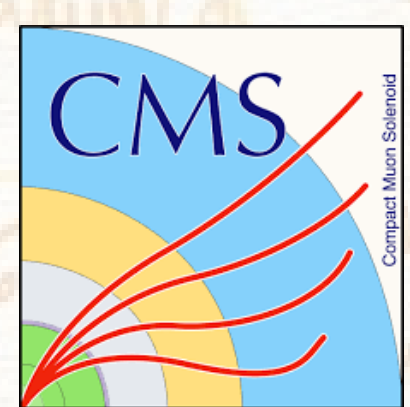
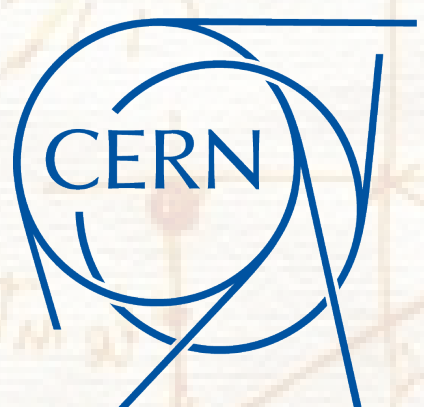
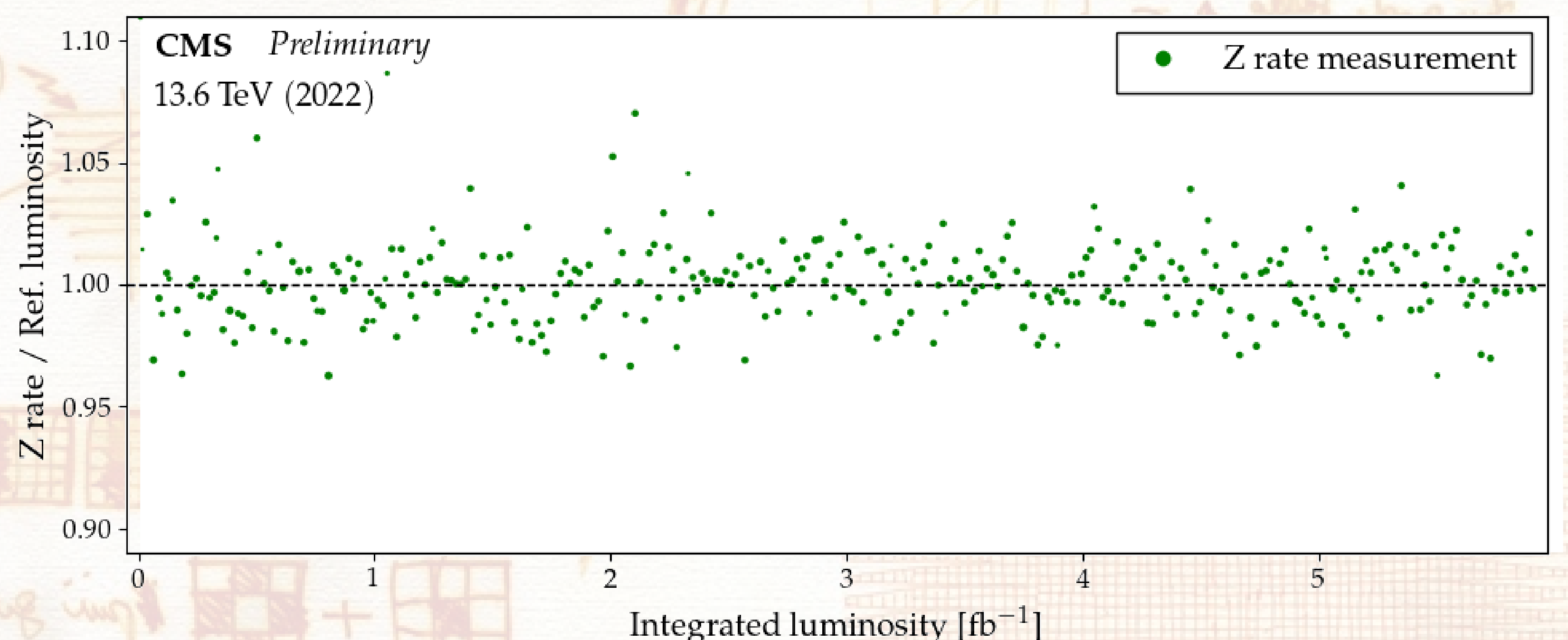
Also interesting to transfer calibration between data sets of different years

- Dedicated studies of systematic effects between data sets necessary

Extrapolation uncertainty will become more important in the future

- At high luminosity LHC $\langle\mu\rangle \approx 200!$

Without further ado applied in Run 3! See: [CMS-DP-2023-003]



TOP Workshop,
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