

# Detector technologies

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*CERN-Fermilab Hadron Collider Physics  
Summer School*

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Jochen Klein (CERN)

# Overview

- **Introduction** → role of particle detectors
  - evolution of detectors
  - challenges and figures of merit
- **Interactions of particles and matter** → basis for particle detection
  - electromagnetic
  - strong
  - weak
- **Detector technologies** → information from interactions
  - gaseous and semiconductor trackers
  - timing detectors
  - photon detectors
  - calorimeters
  - neutral particle detectors
- **Applications in experiments** → combination of techniques
  - examples and performance

## Goals

- **concepts and connections**  
instead of rigorous derivations
- **trends and scalings**  
with examples of detectors
- **references and pointers**  
for more in-depth material

# Historic examples

- **Scintillating screens**

→ counting experiments

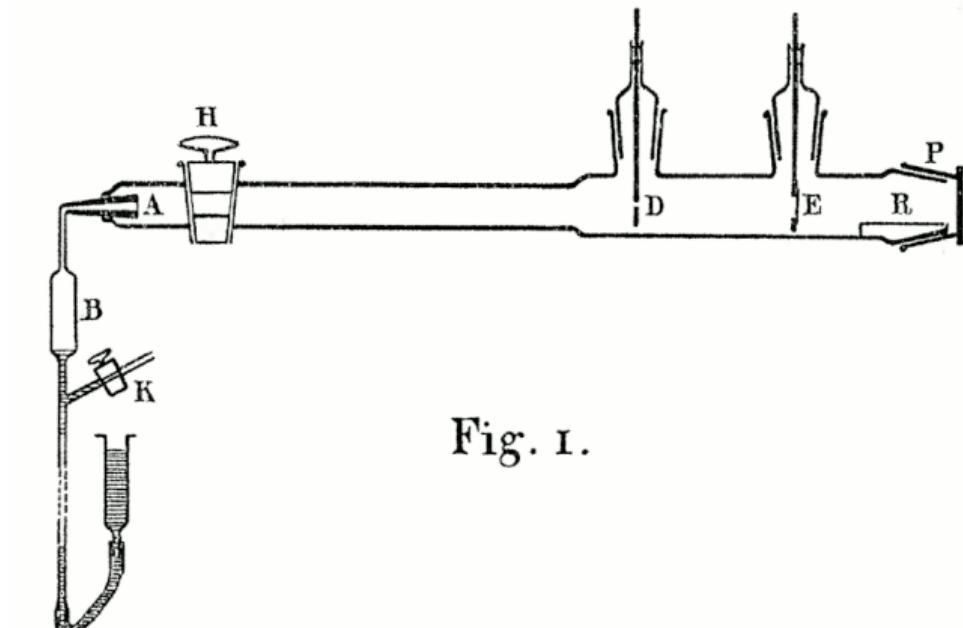


Fig. I.

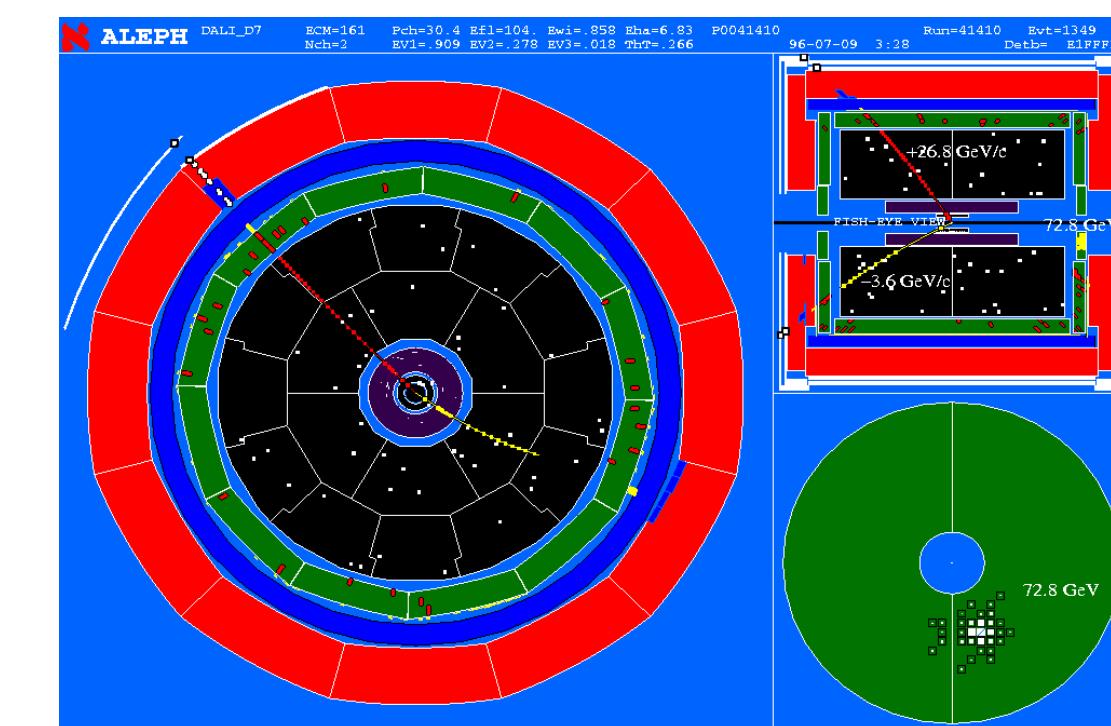
Rutherford experiment (1909)

- **Emulsions and cloud/bubble chambers**

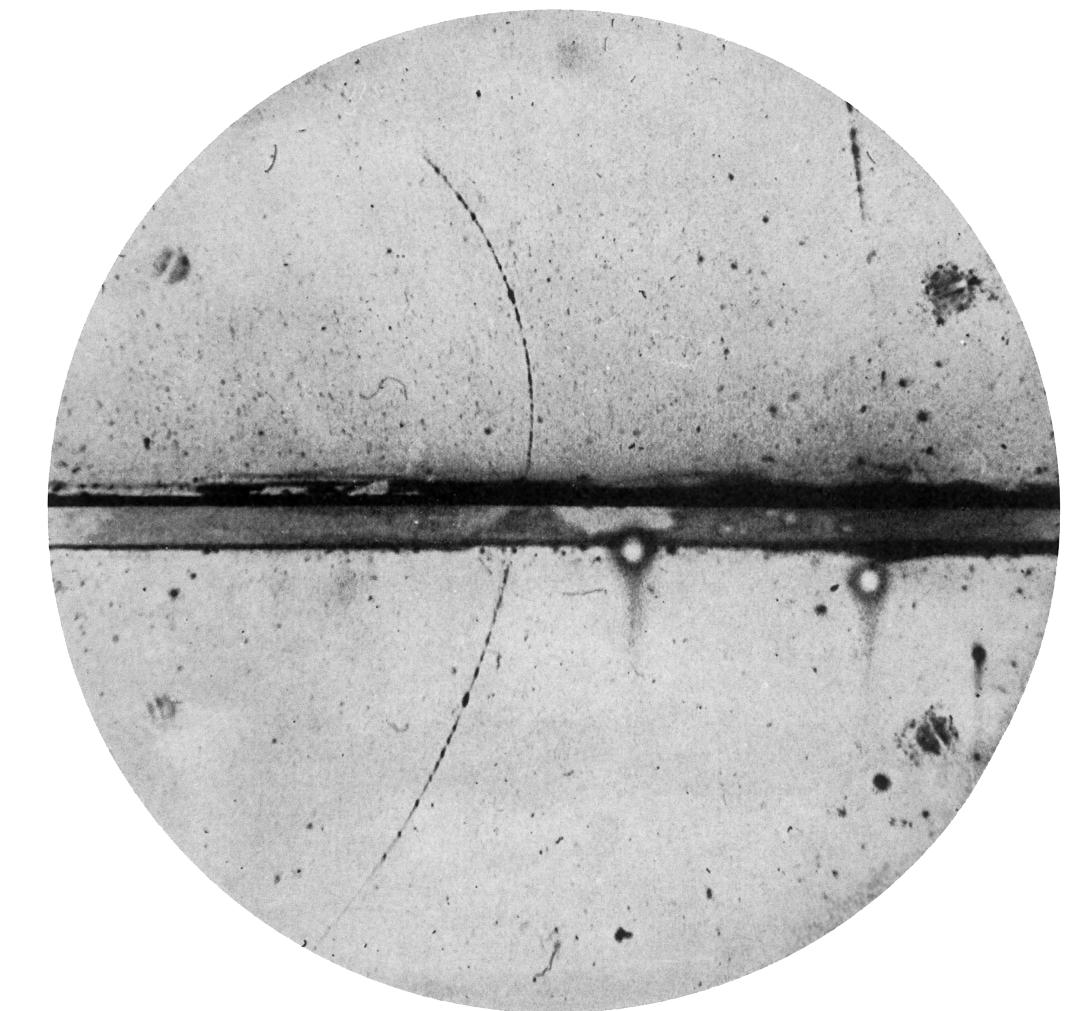
→ imaging experiments

- **Modern experiments**

→ electronic readout and  
full reconstruction of trajectories



ALEPH @ LEP (1982 - 2000)



Discovery of positron  
in cloud chamber (1932)

# Particle detectors

- **Particle detectors drive understanding of matter and interactions**
  - through direct discoveries, e.g. positron
  - through detection of decay products and reconstruction of interactions
- **Modern experiments typically rely on a combination of detectors** to measure properties of particles (at accelerator facilities, from cosmic rays, ...)
  - presence and rates
  - momentum, energy, direction
  - mass ( $\rightarrow$  species)
  - production vertices ( $\rightarrow$  reactions)
  - ...

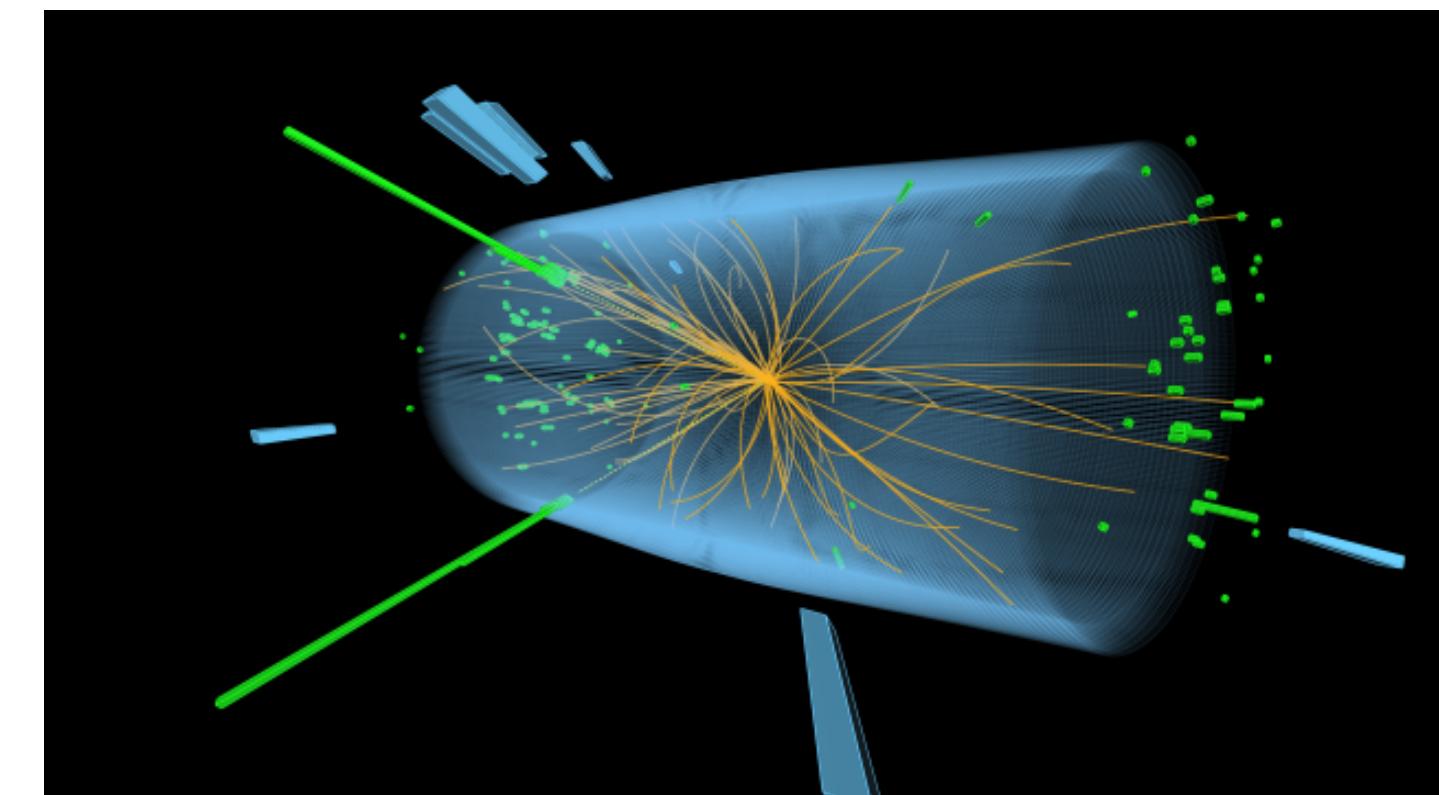
As fundamental a tool as ever  
for progress in particle physics

# LHC experiments

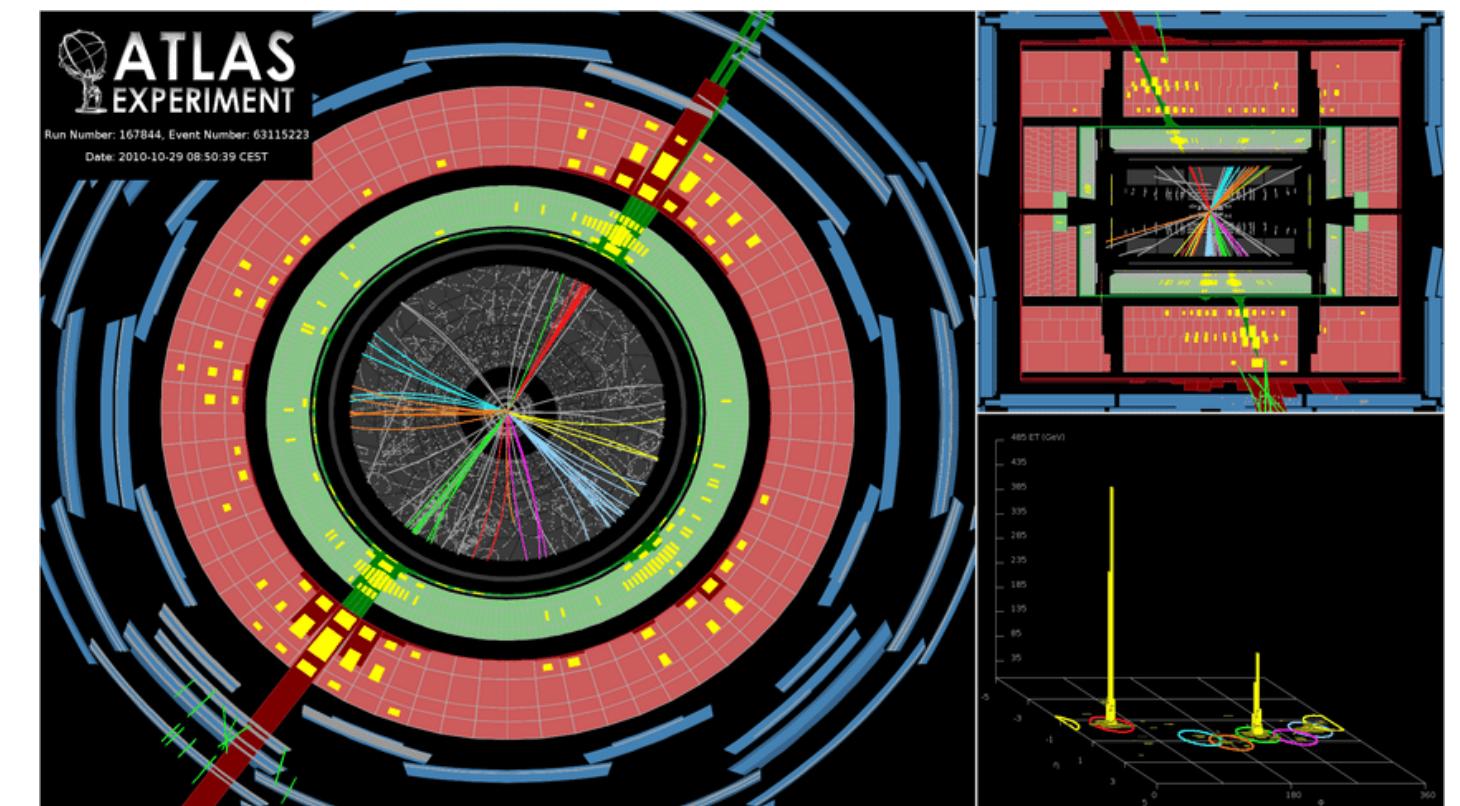
used as examples

- **Challenging environment from LHC collisions**

- high interaction rates
- large multiplicities
- complex observables
- large backgrounds

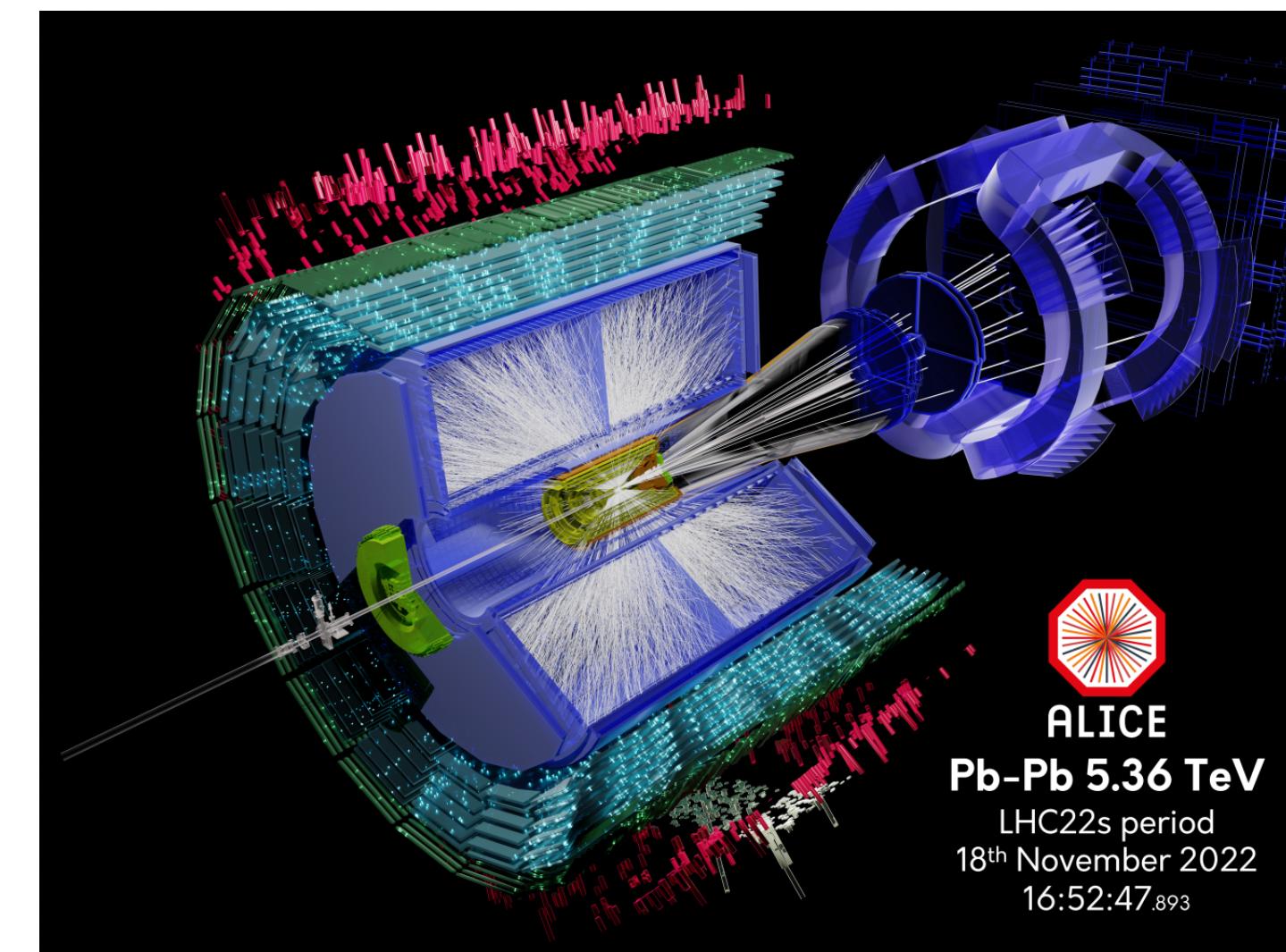


CMS

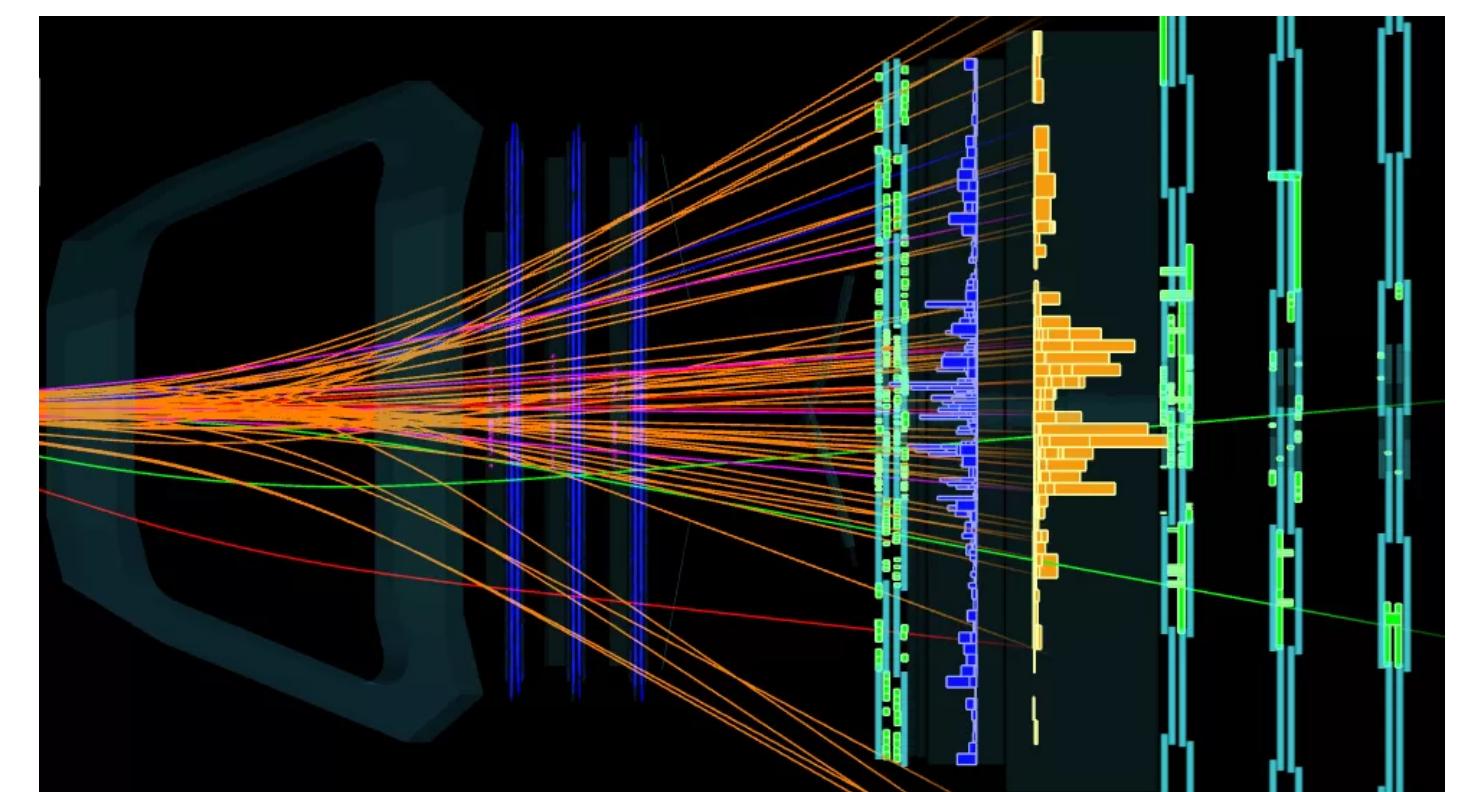


ATLAS

- **Stringent requirements on**
- rate capability
- detection efficiency
- momentum/energy resolution
- particle identification



ALICE



LHCb

# Figures of merit

- **Momentum resolution**
  - curvature in magnetic field  
→ measurement of points along the trajectory of particles
- **Pointing resolution**
  - propagation of tracks to determine production vertices
- **Energy resolution**
  - complete absorption in detector material  
→ measurement of response proportional to deposited energy
- **Mass resolution** (particle identification)
  - velocity, mass-dependent radiation
- **Rate capability**
  - large occupancies
  - radiation tolerance

**Relevance of various aspects depends on physics goals**  
→ different optimisations

# Interactions as basis of detection

- **Electromagnetic interaction → charged particles, photons**
  - ionisation and excitation (exploited in many different ways)
  - electromagnetic showers
  - scintillation
  - Cherenkov radiation
  - transition radiation
- **Strong interaction → hadrons**
  - hadronic showers
- **Weak interaction → neutrinos**

Detectors rely on interactions  
of particles with (detector) material

# Tracks of charged particles

# Charged particles in matter

- Consider a **charged particle X traversing matter**
  - cross section dominated by inelastic collisions with electrons

- **Classical derivation** of interaction (following Bohr, 1913)

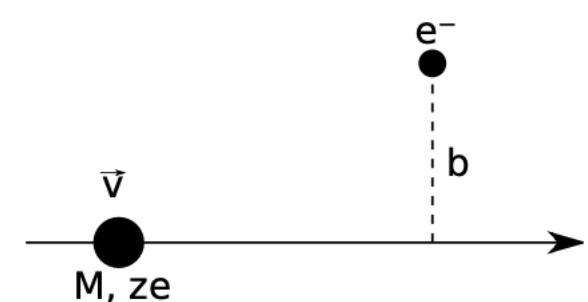
- Coulomb force  $F = \frac{ze^2}{r^2}$  leads to

**momentum transfer**  $\Delta p_{\perp} = \int dt F = \frac{2ze^2}{bv}$  and, thus,

**energy transfer**  $\Delta E = \frac{\Delta p^2}{2m_e}$  to electron

- Considering all material

$$dE(b) = -n 2\pi b db dx \frac{4z^2 e^4}{b^2 v^2} \frac{1}{2m_e} = -\frac{4\pi n z^2 e^4}{m_e v^2} \frac{db}{b} dx \rightarrow \text{divergent in } b$$



# Energy loss of charged particles

- Average energy loss from **integration over relevant range of  $b$**  (avoiding divergence)
  - $b_{\min}$ : localisation limited by uncertainty:  $\frac{h}{p} = \frac{h}{\gamma m_e v}$
  - $b_{\max}$ : interaction time limited by revolution period of electrons:  $t_{\text{int}} < T_e$
- Integration yields
$$\frac{dE}{dx} = \frac{4\pi z^2 e^4}{m_e c^2 \beta^2} n \ln \frac{m_e c^2 \beta^2 \gamma^2}{\hbar \langle v \rangle} \quad \text{with } n = \frac{N_A \rho Z}{A}$$

$$\beta = p/E, \gamma = E/m \Rightarrow \beta\gamma = p/m$$

# Bethe-Bloch equation

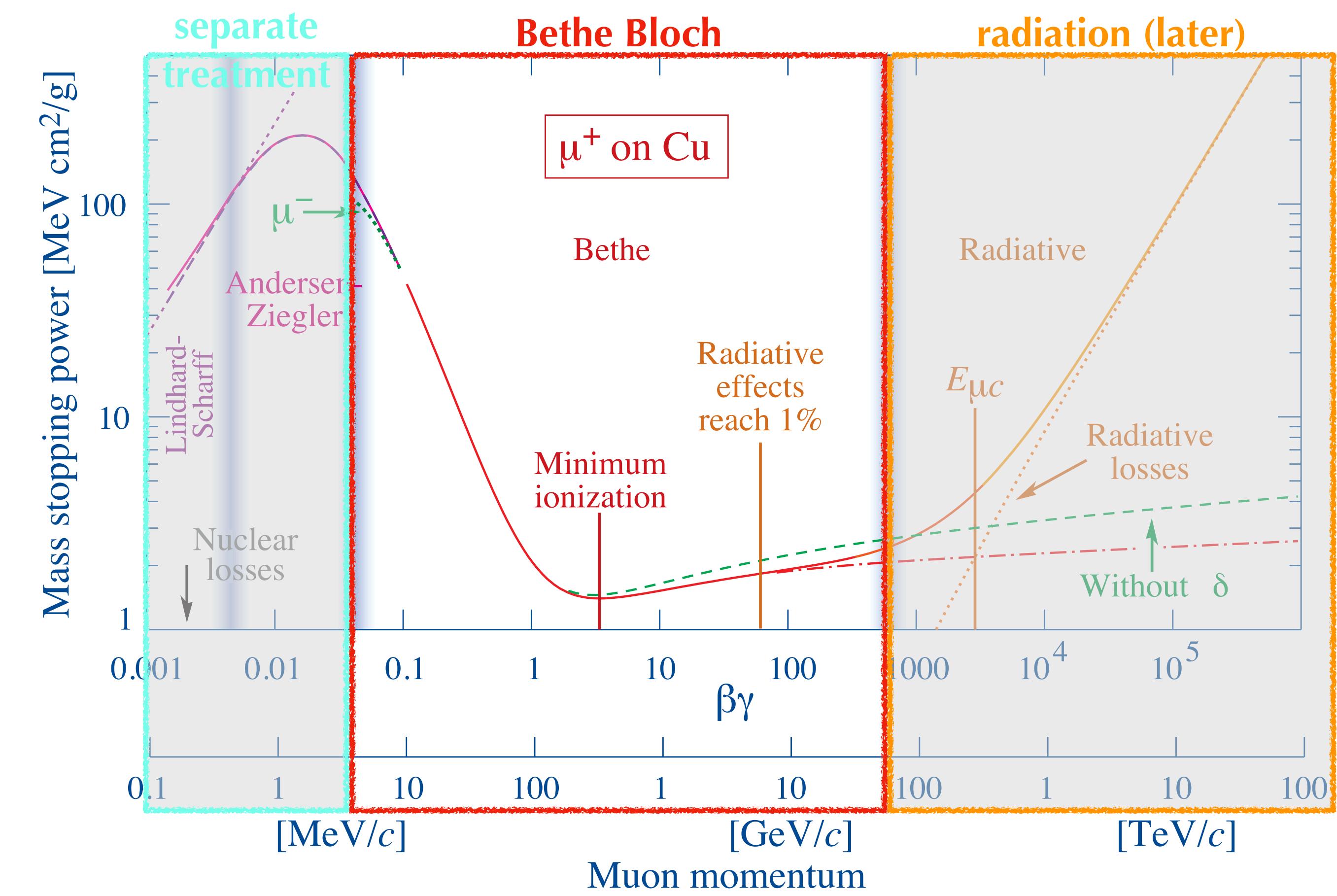
- Calculation **considering quantum mechanics** by Bethe and Bloch leads to

$$-\frac{dE}{dx} = Kz^2 \frac{Z}{A} \rho \frac{1}{\beta^2} \left[ \frac{1}{2} \log \frac{2m_e c^2 \beta^2 \gamma^2 T_{\max}}{I^2} - \beta^2 - \frac{\delta}{2} \right]$$

- $T_{\max}$ : max. energy transfer (in single collision)
  - $I$ : ionisation potential ( $\sim (10 \pm 1) Z$  eV for elements beyond O)
  - $\delta/2$ : density correction (Lorentz contraction + polarisability of material)
- 
- **Modifications for electrons and positrons**
    - indistinguishable particles  $\rightarrow W/2$
    - annihilation for positrons
    - low mass  $\rightarrow$  deflection more important  $\rightarrow$  longer path length
    - low mass  $\rightarrow$  radiation (bremsstrahlung) important (discussed later)

# Specific energy loss

- General behaviour of Bethe-Bloch equation
  - steep rise towards low energies:  $\propto \beta^{-5/3}$  up to  $\beta\gamma \approx 1$
  - broad minimum of  $1 - 2 \frac{\text{MeV}}{\text{g cm}^{-2}}$  around  $\beta\gamma \approx 3.5$
  - logarithmic rise towards large energies (Fermi plateau)



NB: Average energy loss  
(distribution discussed later)

# Ionisation from energy loss

- Energy loss of charged particles leads to **ionisation and excitation**
  - primary ionisation  $n_p$
  - secondary ionisation  $n_s = (1 - 5) n_p$
  - de-excitation

material	$I_0$ (eV)	$W$ (eV)
He	25	41
Ne	22	36
Ar	16	26
Xe	12	22
Si	1.1	3.6
Ge	0.67	2.85

Ionisation properties for a selection of detection material

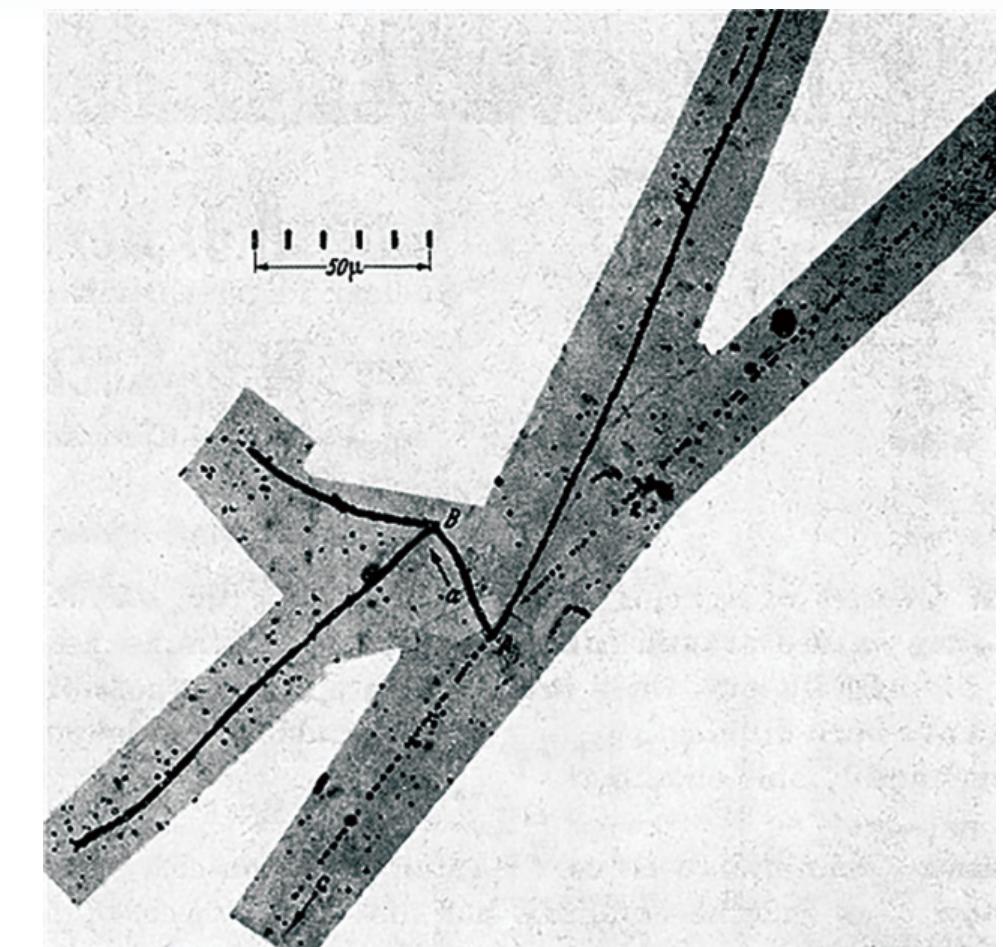
- **Effective ionisation potential  $W$**  to link ionisation and energy loss

$$\langle n_t \rangle = \frac{L \langle dE/dx \rangle}{W}$$

**W is a few 10 eV for gases,  
few eV for semiconductors**  
NB: factor 10<sup>3</sup> in density

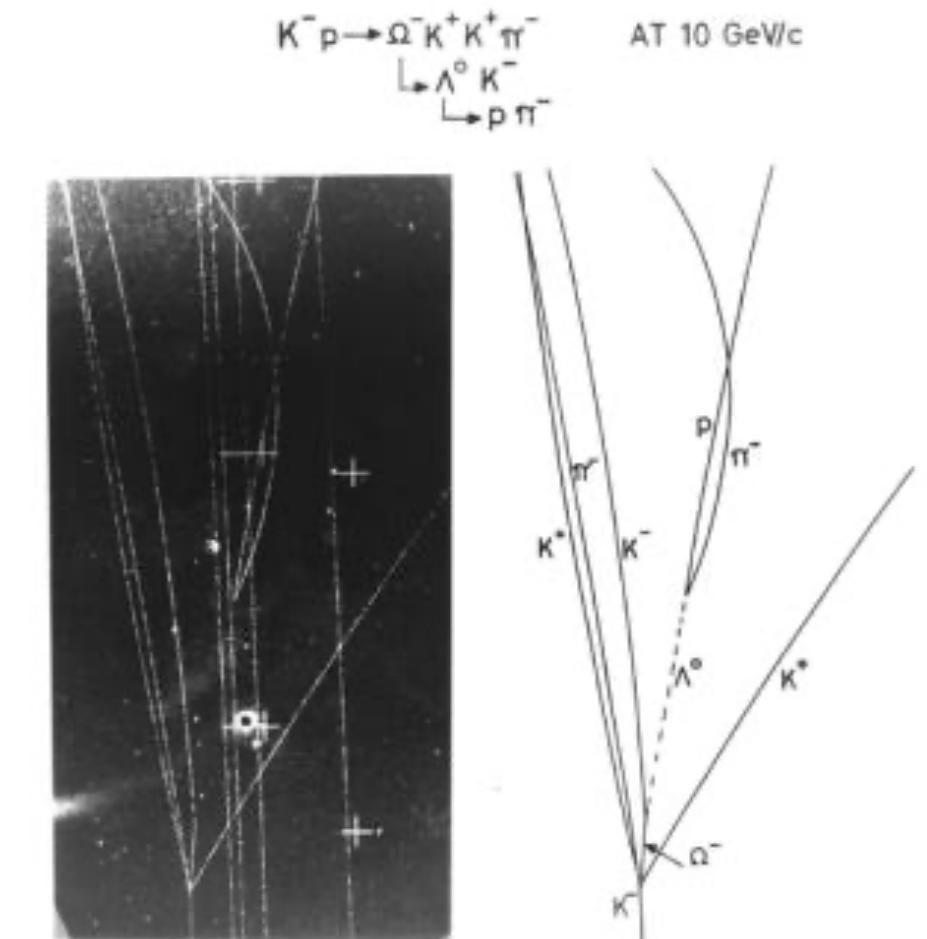
# Detection of ionisation

- Many methods exploit ionisation to make tracks of charged particle visible, e.g.
  - **Photographic emulsions**
    - ionisation leads to exposure
  - **Cloud chambers**
    - ions as seeds for condensation
  - **Bubble chambers**
    - ions as seeds for evaporation
- Embedding in magnetic field allows **extraction of momentum** from curvature of the track



Particle tracks in emulsion

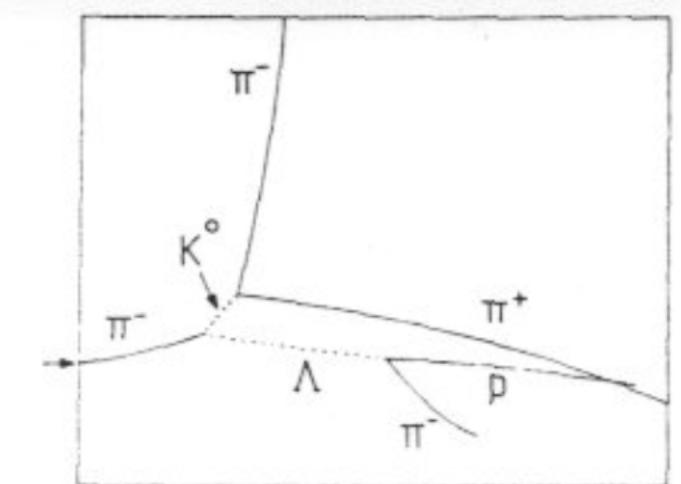
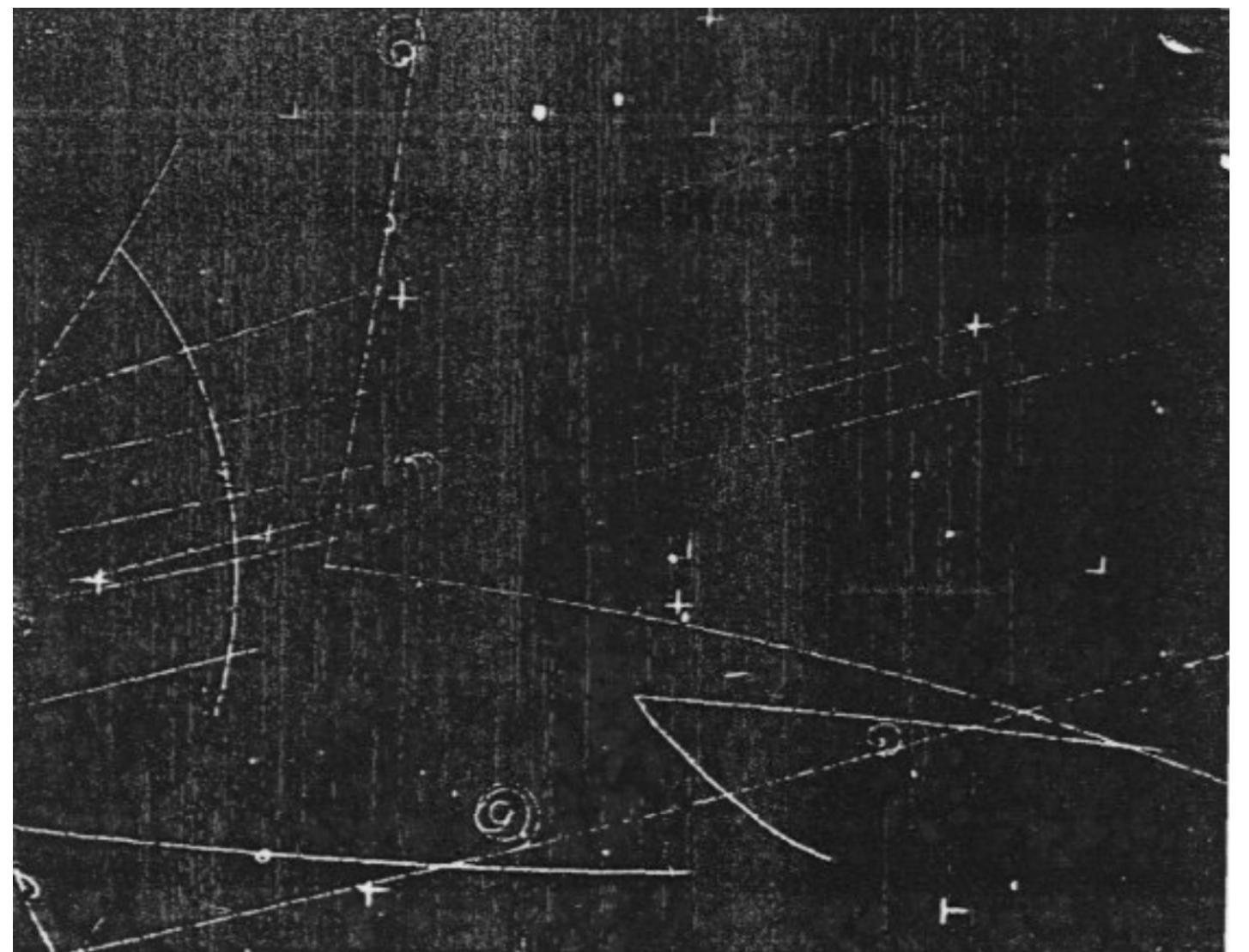
specific energy loss  
→ ionisation  
→ width of trace



Particle tracks in cloud chamber

# Delta electrons

- Curling traces emerging from main particle tracks
  - large energy transfers to electrons allowed for massive highly relativistic particles
  - individual electrons with significant energy are called delta electrons
- Large range
  - not part of total ionisation
  - often lost for ionisation measurement



# Energy loss distribution

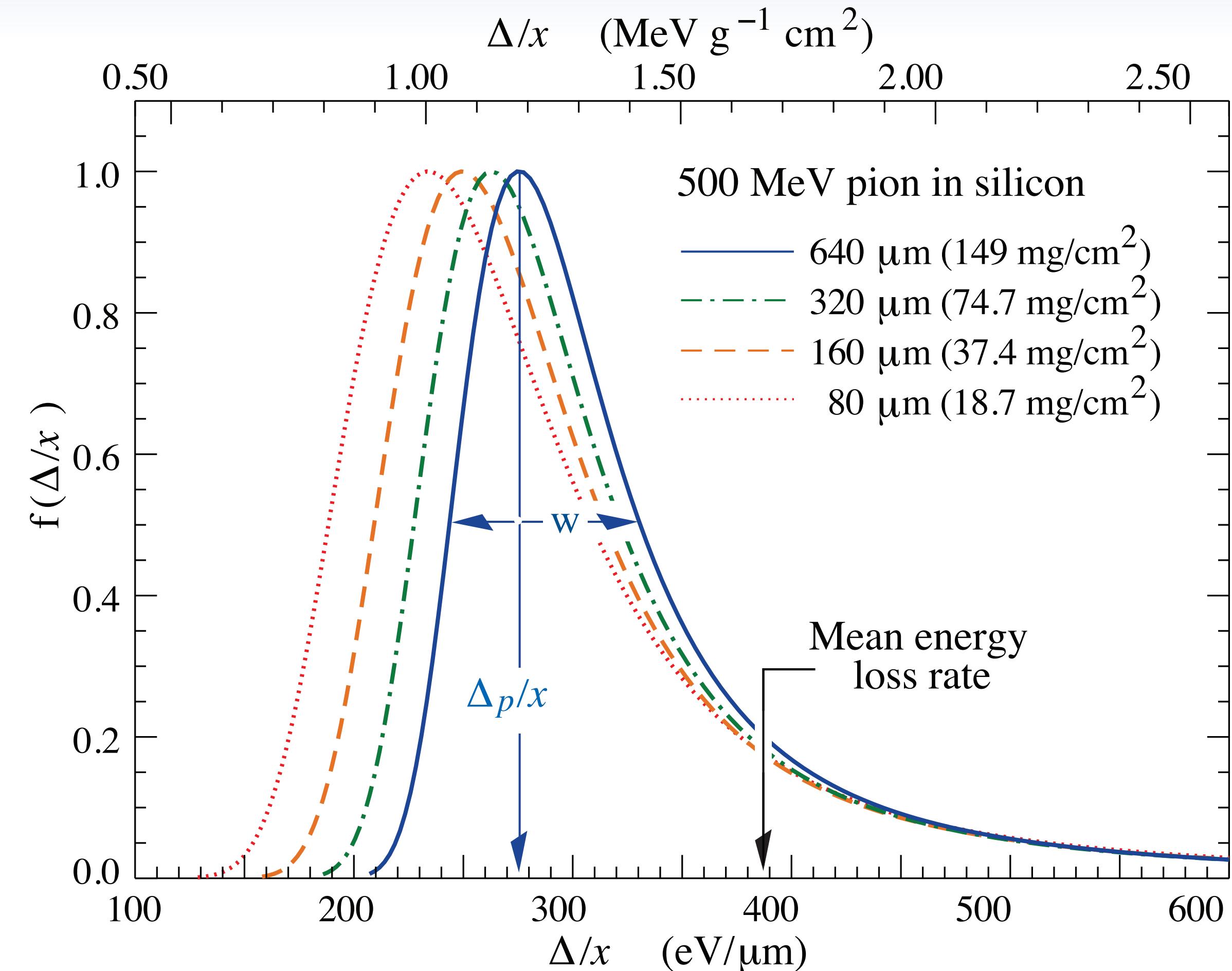
- Statistical distribution with long tail

- Landau distribution for thin absorber
- Vavilov:  
correction for thicker absorbers
- Approximation

$$D\left(\frac{dE}{dx}\right) = \frac{1}{\sqrt{2\pi}} \exp\left(-\frac{1}{2} \left( \frac{\frac{dE}{dx} - \frac{dE}{dx_{mp}}}{\xi} + e^{-\lambda} \right)^2 \right)$$

$\underbrace{\lambda}_{\xi}$

- more precise:  
Allison & Cobb (using measurements  
and numerical solution) Ann. Rev.  
Nuclear Sci. 30 (1980) 253



**Important for dE/dx measurements  
(estimated from finite number of samples)**

# Electrons and ions in material

- **Significant life time → movement of charges possible, loss through**
  - recombination
    - generally not important
  - electron attachment ( $e + M \rightarrow M^-$ )
    - important in presence of electronegative gases ( $O_2$ ,  $SF_6$ , ...) or impurities
- **Random motion of electrons and ions**

with mean free path  $\lambda = \frac{1}{n\sigma}$
- **Drift:** random motion with acceleration in electric/magnetic fields

# Charge transport in gases

- **Electron mobility  $\mu_e$  in gases**

- superposition of random motion and acceleration in electric field → drift
- averaging of Langevin equation leads to

$$m \left\langle \frac{d\vec{v}}{dt} \right\rangle = e \left( \vec{E} + \langle \vec{v} \rangle \times \vec{B} \right) - \frac{m}{\tau} \vec{v}_D$$

- **hot gas** ( $T_e \gg kT$ ) → constant  $v_D$
- **cold gas** ( $T_e \approx kT$ ) →  $v_D \propto E$

- **Ion mobility**

- several orders of magnitude slower than electrons

- **Electron/hole mobility in semi-conductors analogue**

- similar drift velocities for electrons and holes (within factor ~2)

### Typical values

- cm/μs for electrons in gases
  - cm/ms for ions in gases ( $\cdot 10^{-3}$  !)
  - cm/μs for e/h in semi-conductors

# Ionisation chamber

- Idea: **collect charge in electric field**, e.g.

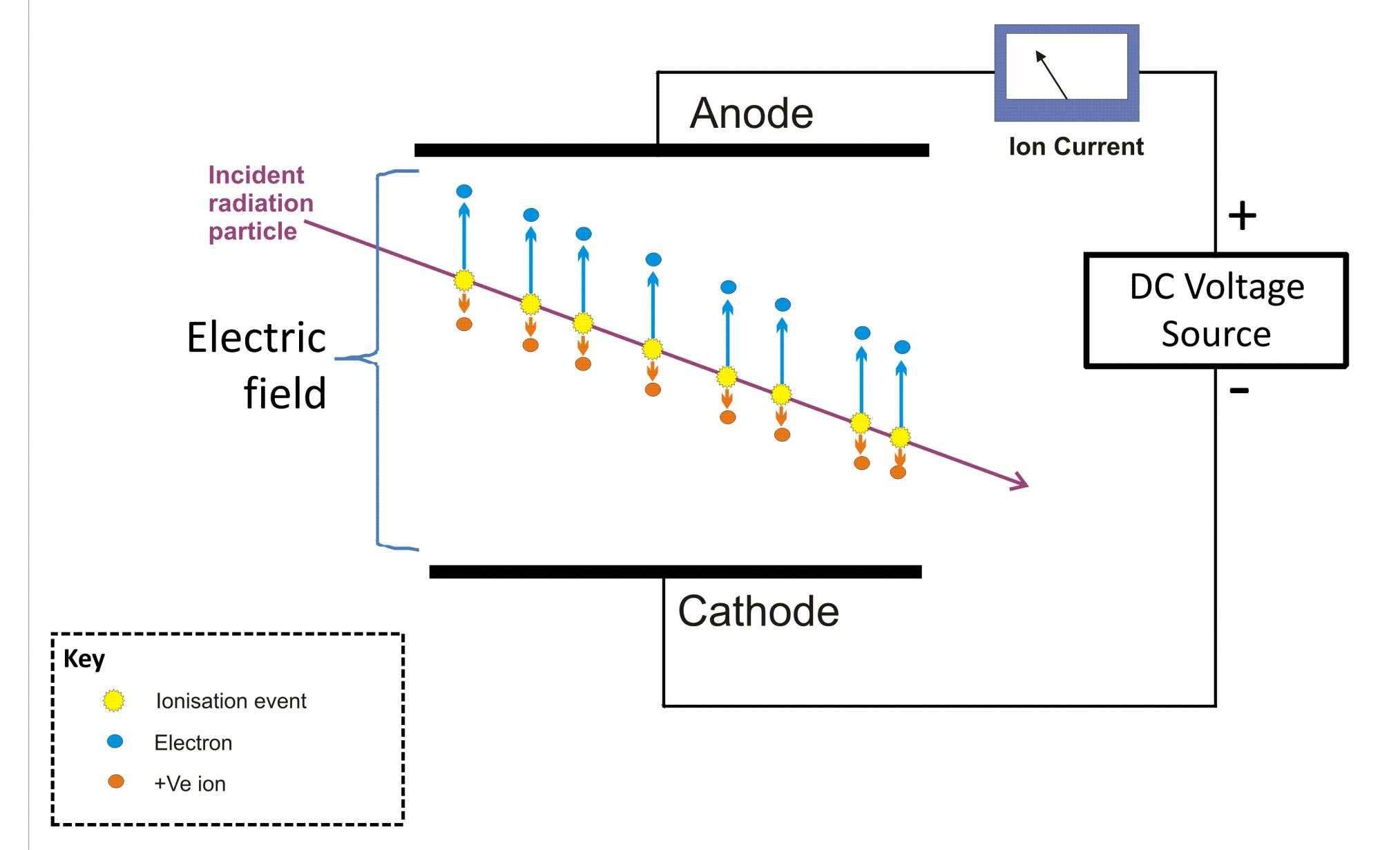
- between two plates
- between cylinder and central wire

- **Moving charges induce current**

- fast signal from fast drift of electrons
- slow signal from slow drift of ions
- position-independent response  
→ Frisch grid

- **Limitations**

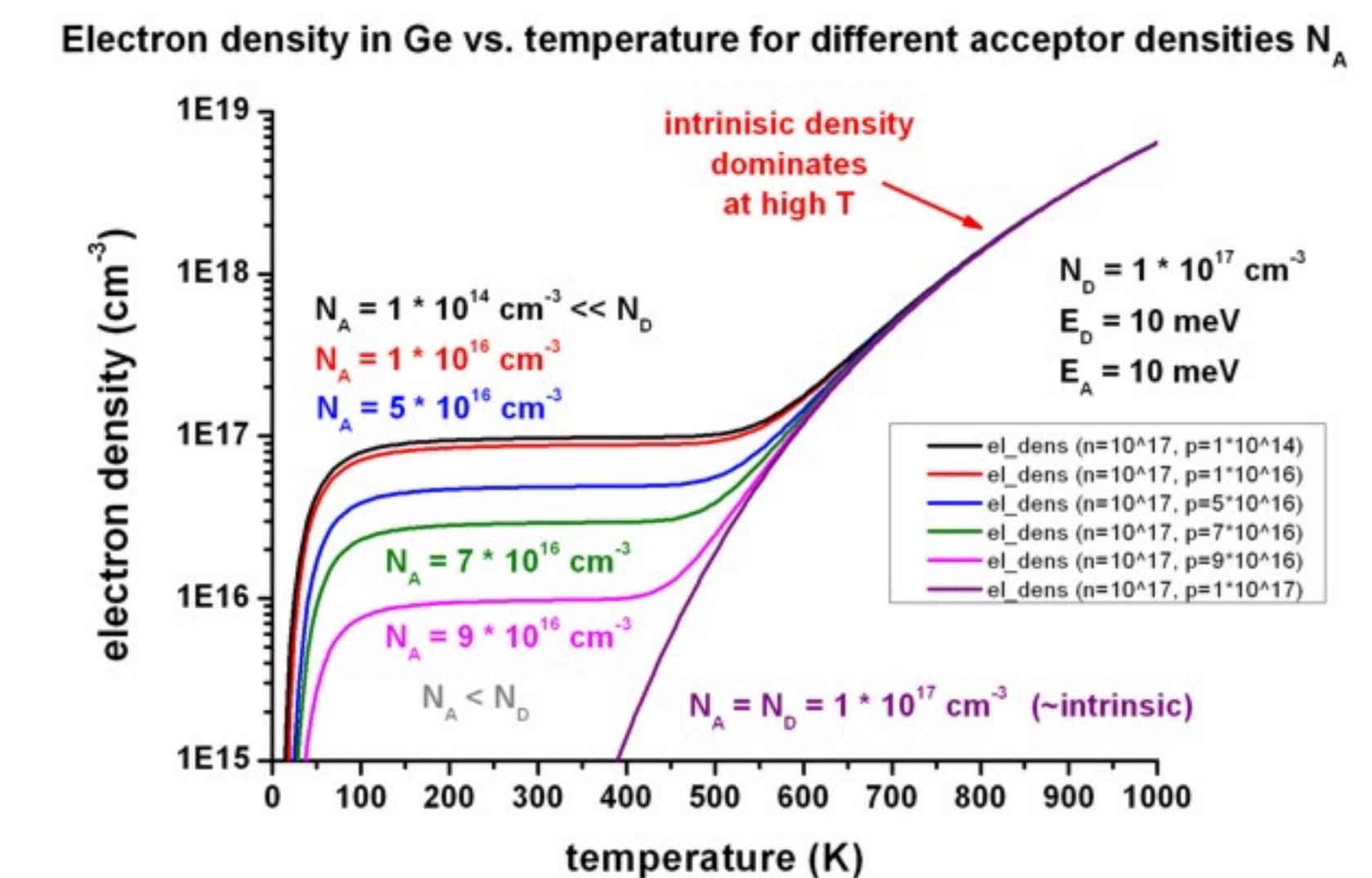
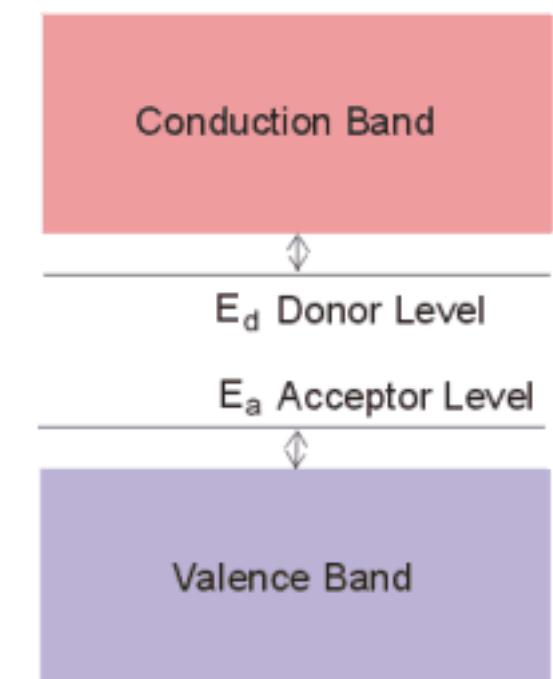
- small signal from charges
- no position information



**NB: small currents  
in the pA range**

# Charge carriers in semi-conductors

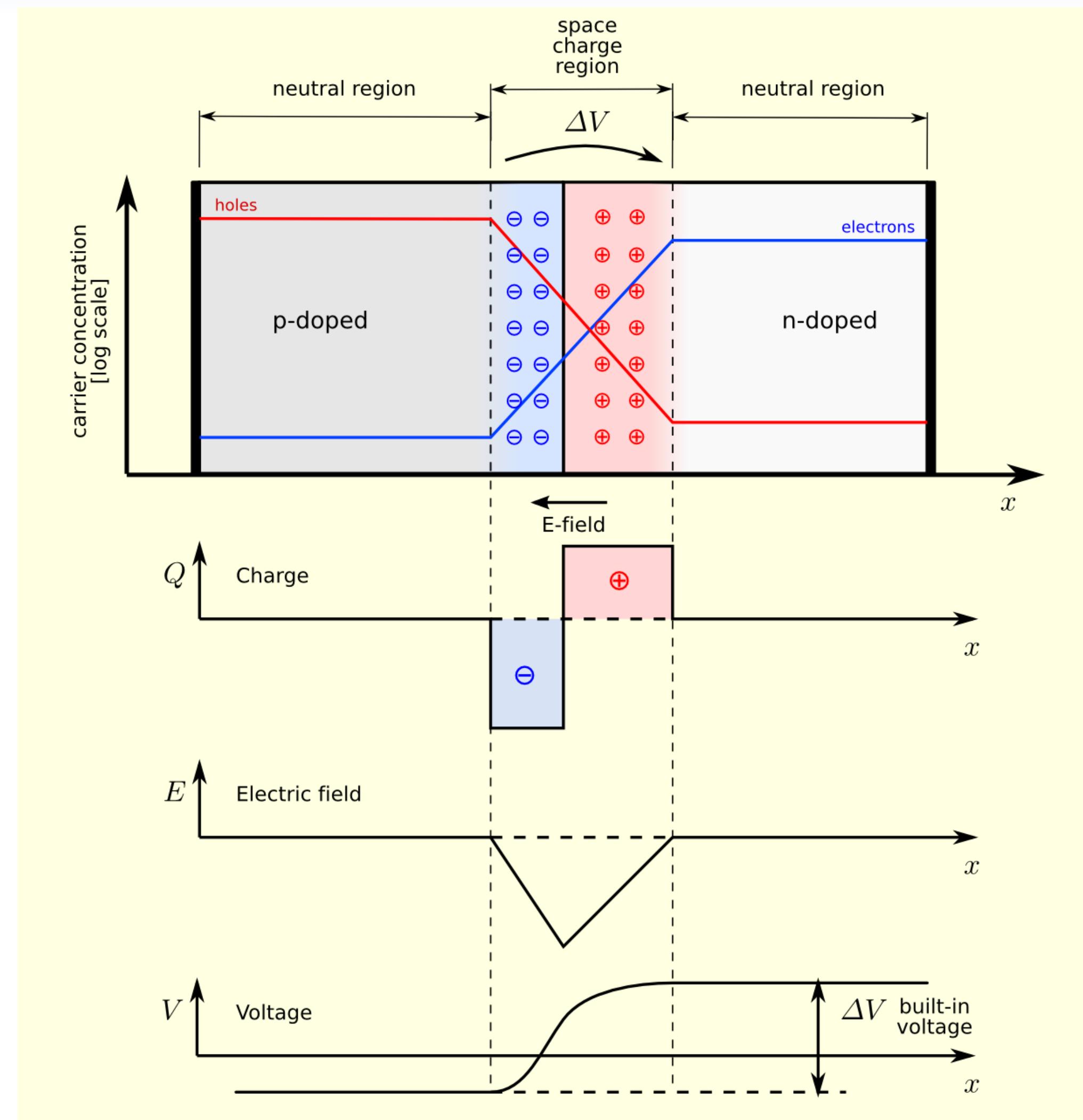
- Electrons and holes as **charge carriers**
  - **intrinsic semiconductors:**  
thermal excitation across band gap
  - **extrinsic semiconductors (doping):**  
excitation from/to donor/acceptor levels  
→ saturation
- **Drift of charge carriers** similar to gases  $\mathcal{O}(\text{cm}/\mu\text{s})$ ,  
slower for holes  $v_h \approx 0.3 - 0.5 v_e$



# pn junction

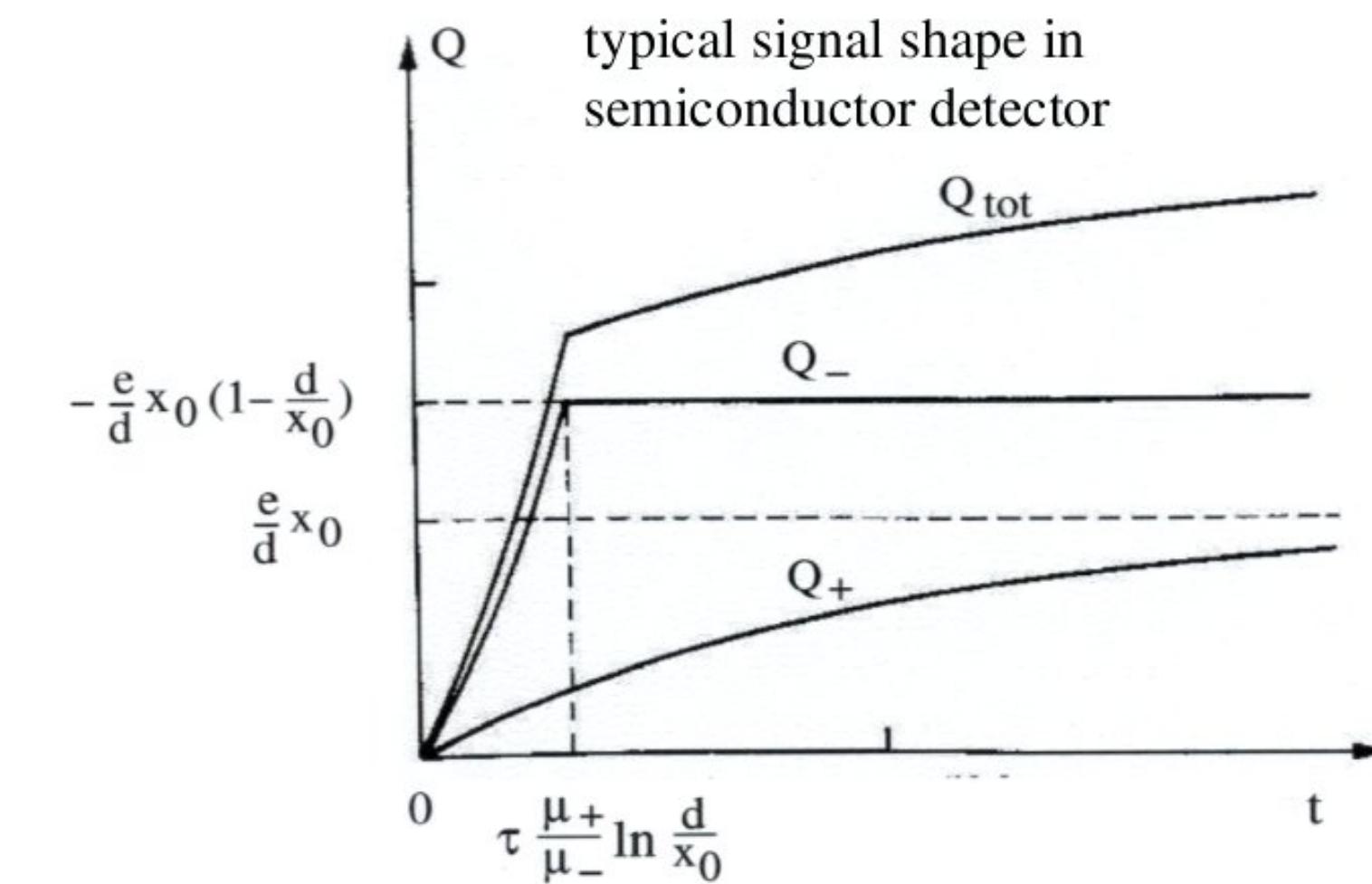
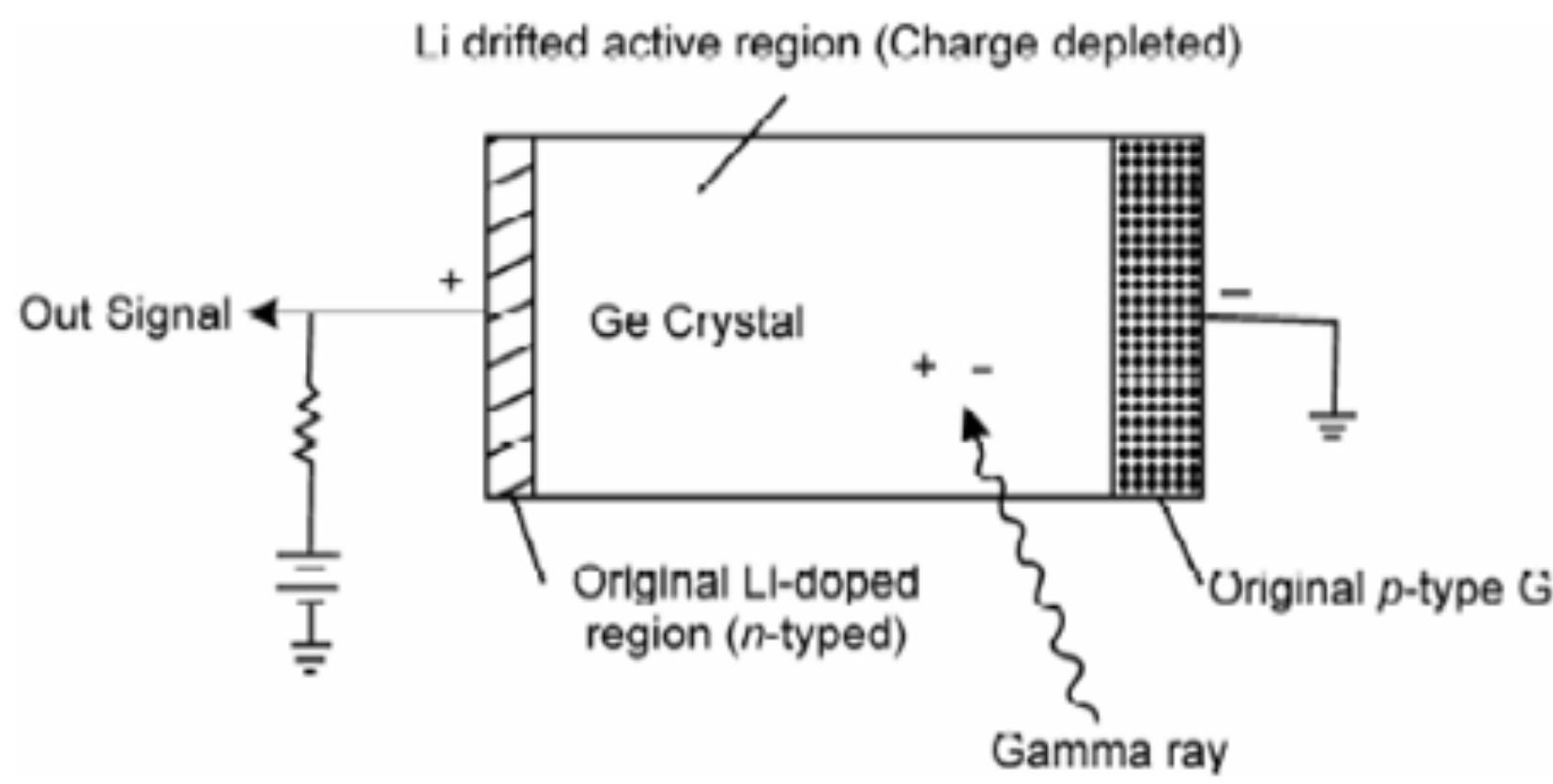
- Contact between p- and n-doped regions  
→ **depletion zone**
  - depletion of charge carriers
  - net charge
  - electric field
- **Schottky model**
  - sharp edges of regions
  - thickness of depletion zone
$$d_n = \sqrt{\frac{2\epsilon\epsilon_0 V_D}{e}} \frac{N_A/N_D}{N_A + N_D}$$

$$d_p = \sqrt{\frac{2\epsilon\epsilon_0 V_D}{e}} \frac{N_D/N_A}{N_A + N_D}$$
- large depletion zone achievable with highly asymmetric doping and/or bias voltage



# Semiconductor sensor

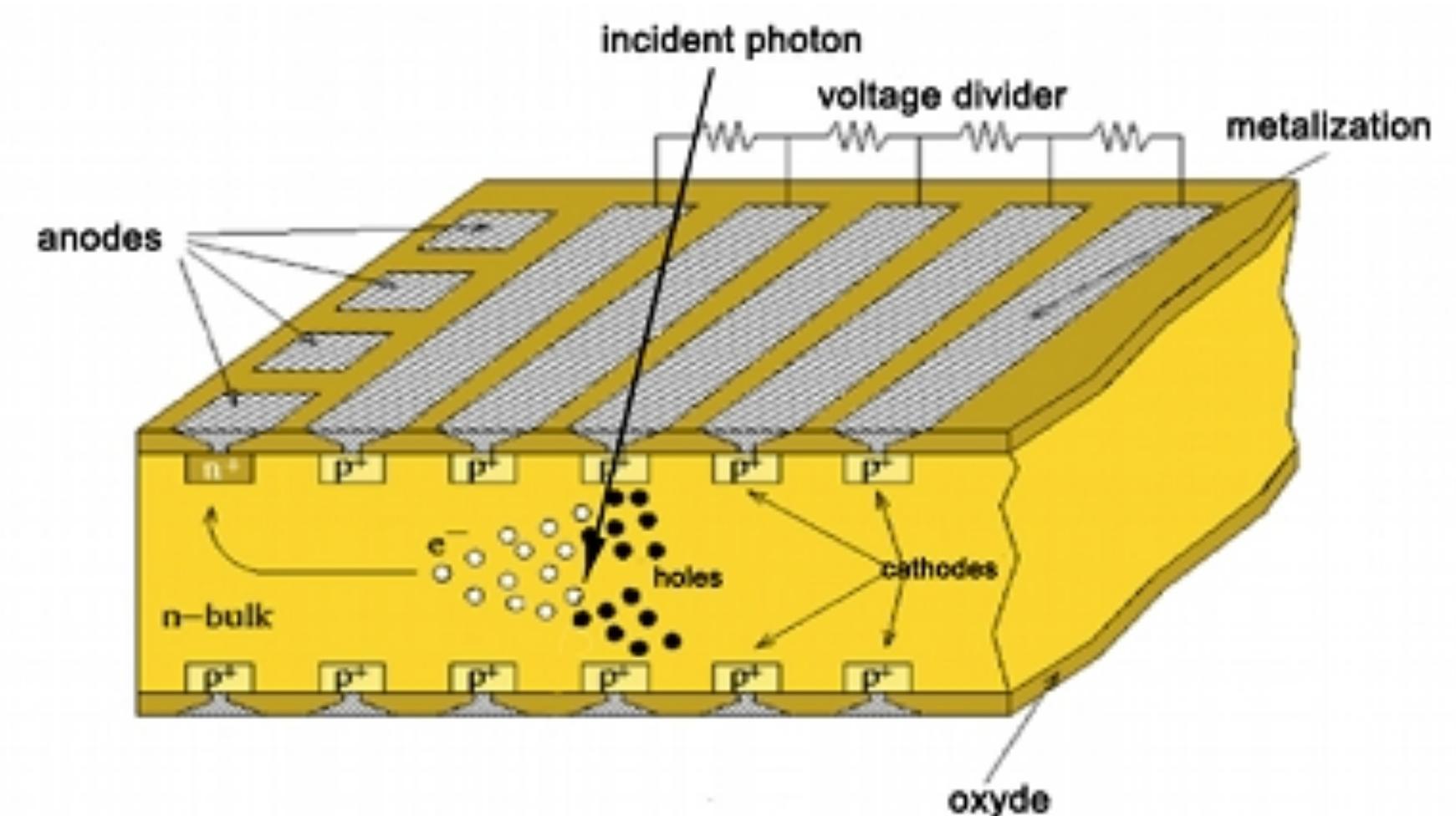
- Ionisation leads to creation of **electrons and holes** (also phonon excitation) in depletion region (used as active volume)
- electric field leads to drift  
(with similar drift velocities for electrons and holes)



semiconductor analogue of ionisation chamber

# Silicon drift sensors

- **Electrodes on surface of sensor**
  - parabolic potential  
→ charge collection in central plane
  - longitudinal potential  
→ drift to collection electrode
  - readout of charge incl. drift time  
→ position information (2D)



## Examples

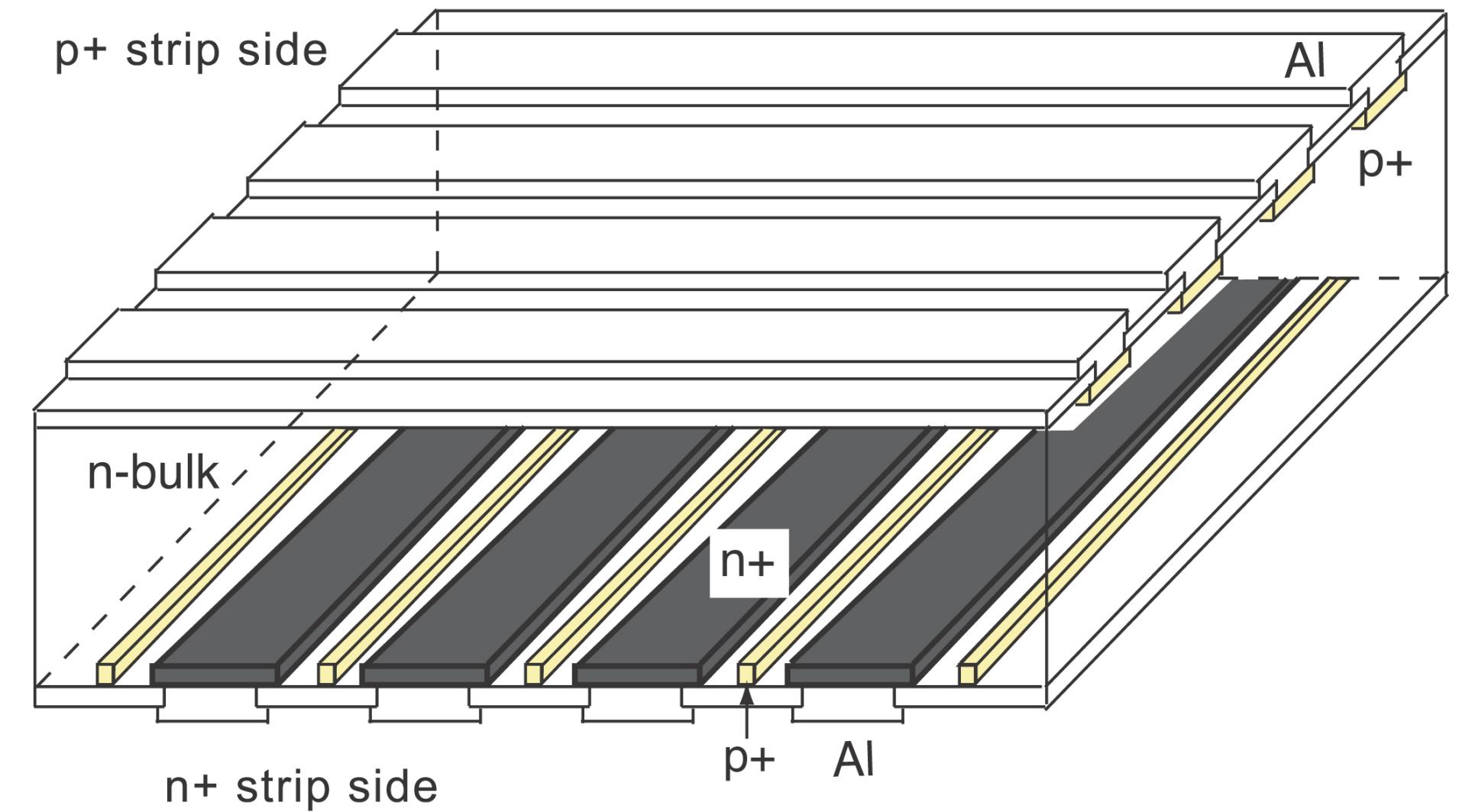
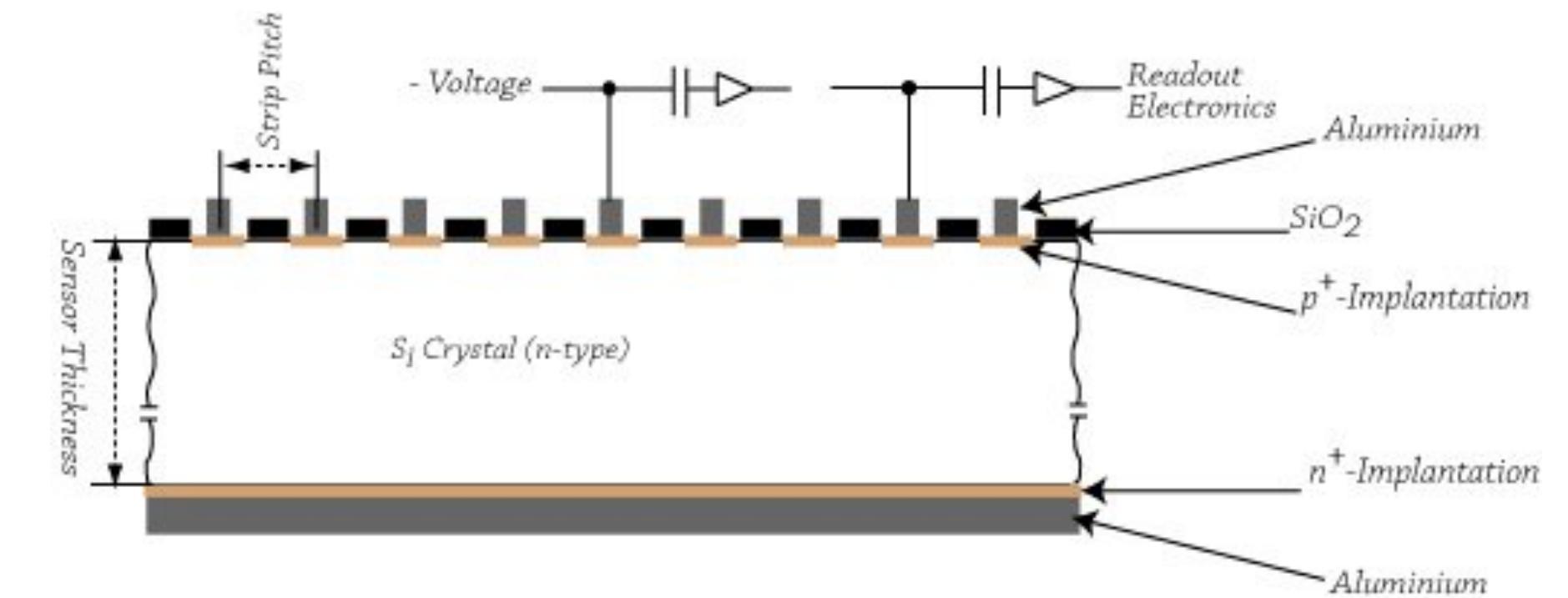
- Inner trackers at LHC

# Silicon strip sensors

- **Strips as collection electrodes**
  - position information
- microstrips, typical pitch  $\mathcal{O}(10 \mu\text{m})$
- for 2d information:  
combination of two sensor layers or  
perpendicular strips on both surfaces

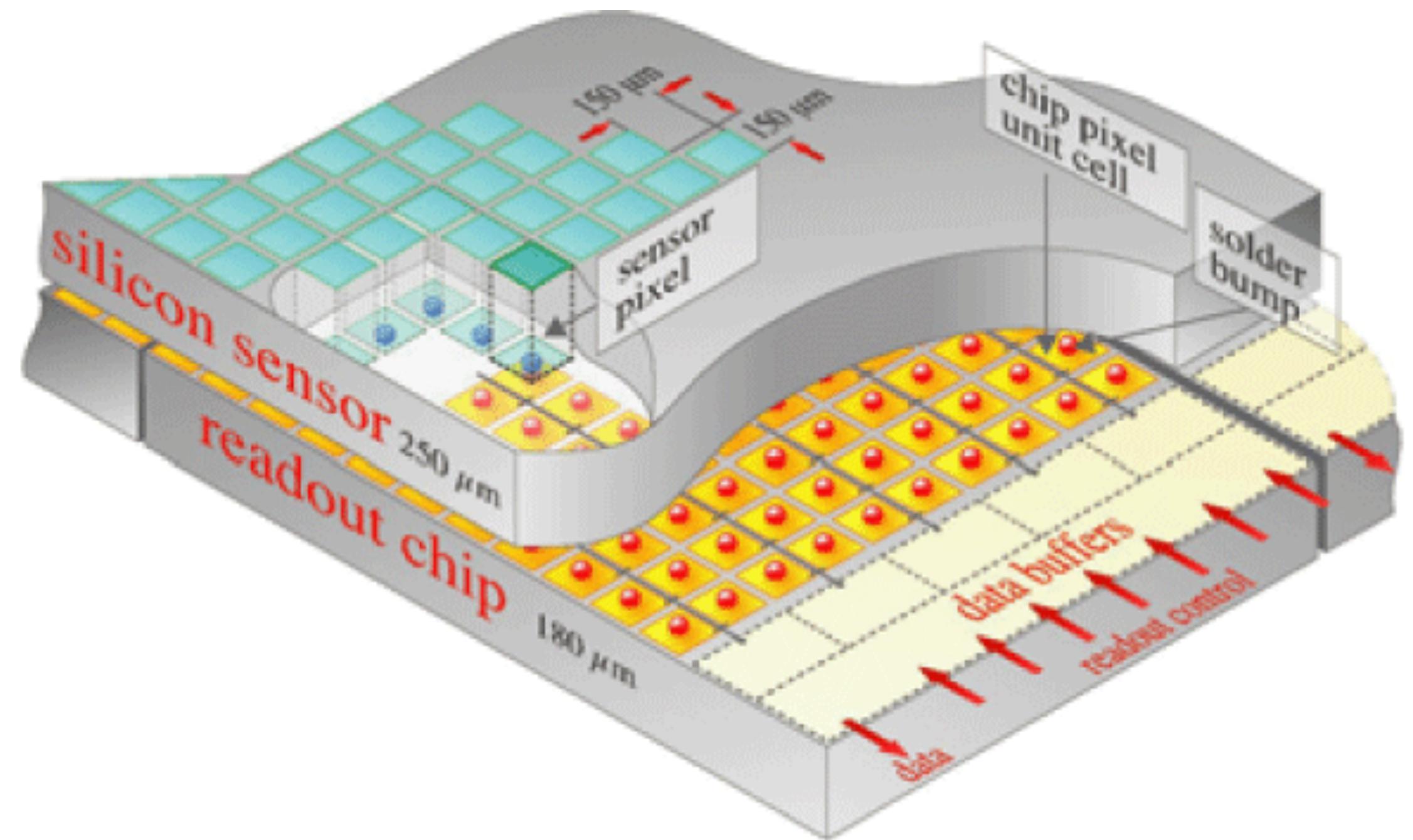
## Examples

- Inner trackers @ LHC



# Silicon pixel sensors

- Small pads as collection electrodes  
→ 2d position information
  - good position resolution
  - large number of readout channels



## Examples

- Inner trackers @ LHC

# Hybrid vs monolithic

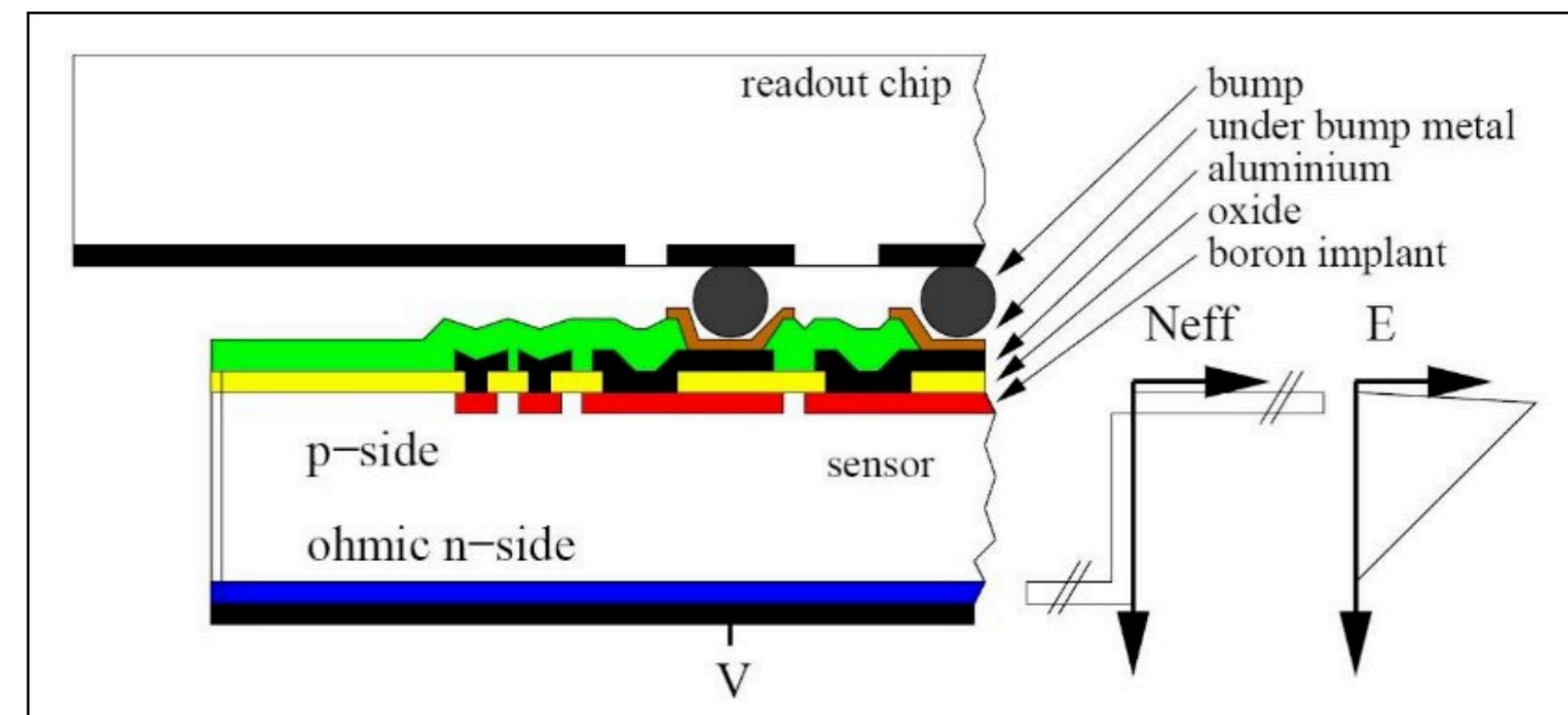
- **Hybrid sensors**

- separate chips for sensor and readout
- can be produced in different processes
- requires bonding  
e.g. bump bonding, wafer to wafer

Examples

- ATLAS Itk
- CMS tracker

## Bump bonding



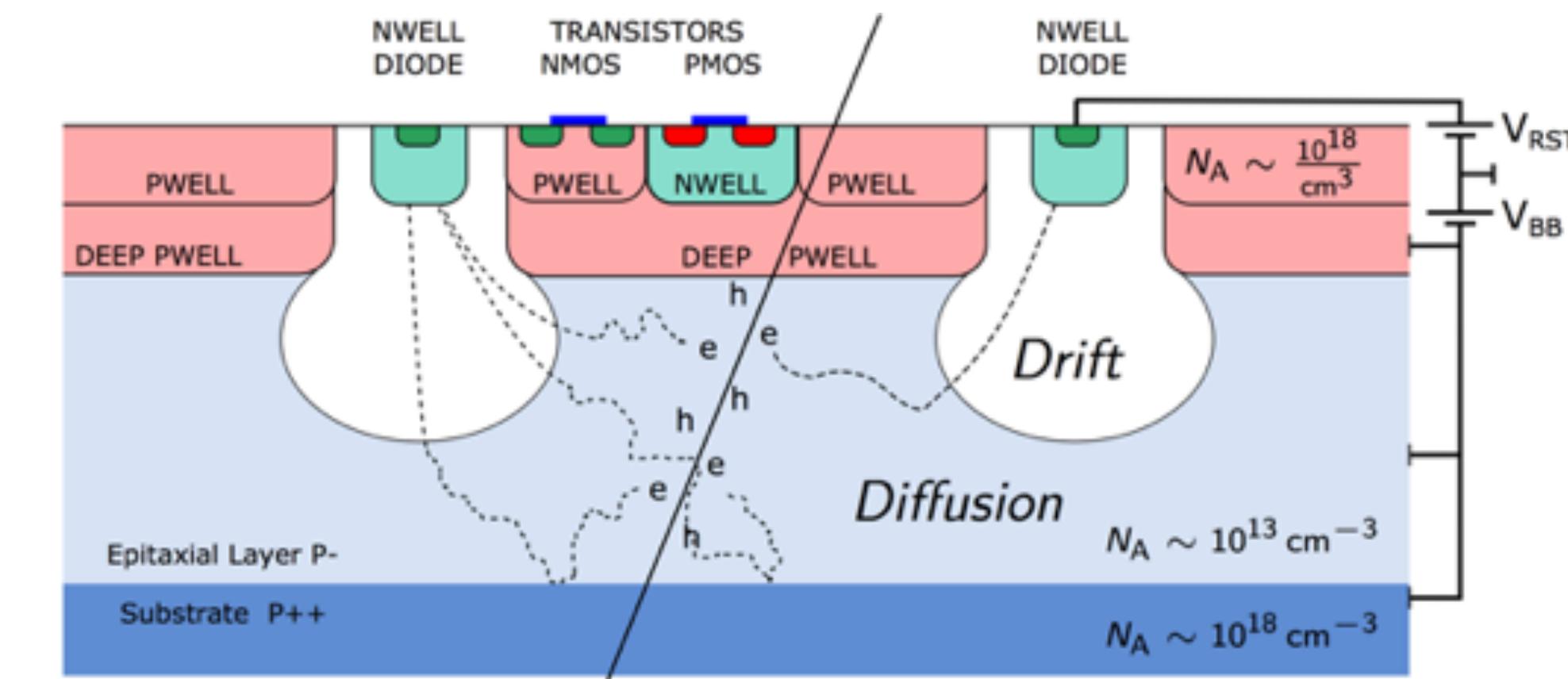
- **Monolithic sensors**

- readout circuitry integrated with sensor

- produced in a single process,  
e.g. CMOS imaging

Examples

- STAR @ RHIC
- ALICE ITS @ LHC



schematic cross section of pixel of monolithic silicon pixel sensor

# Charge amplification

# Charge amplification

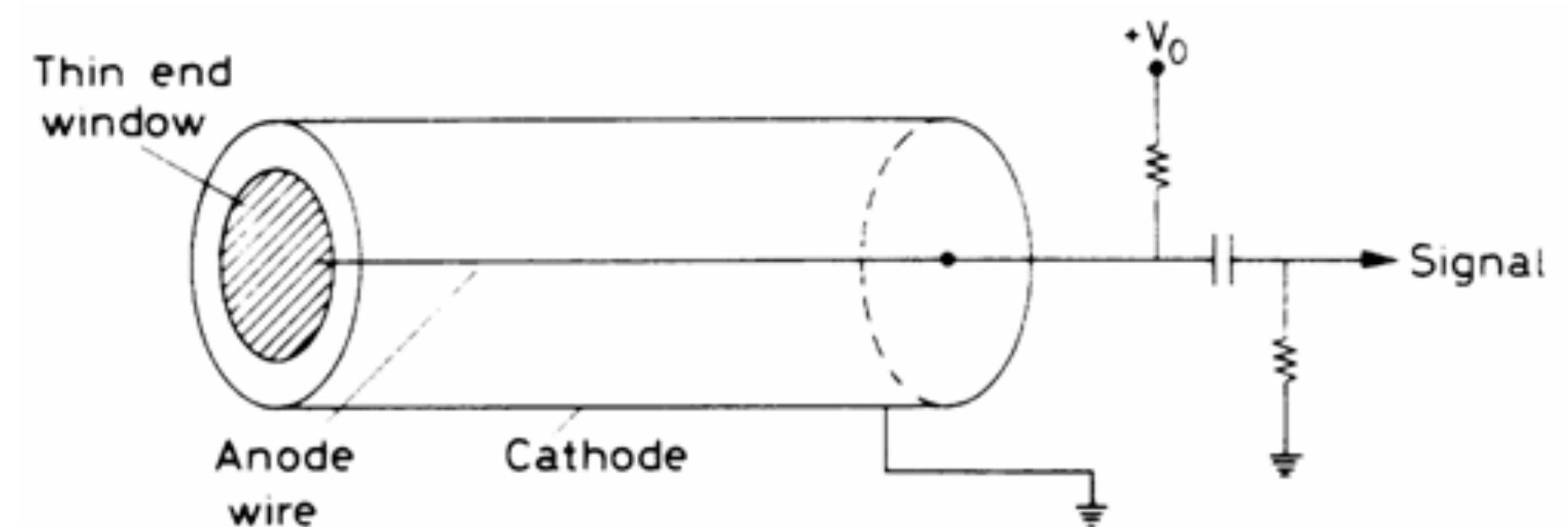
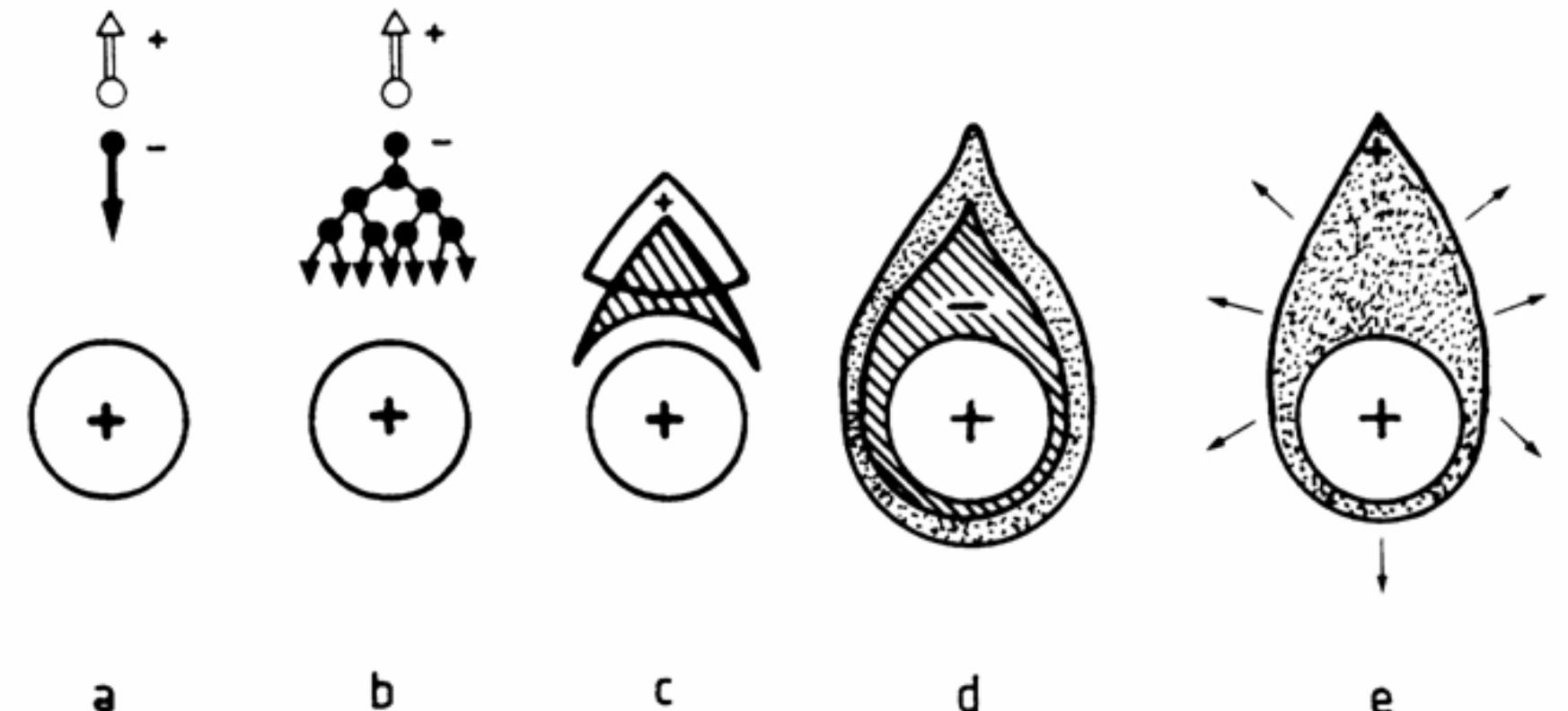
- **Charge from ionisation limited**,
  - in particular for gas detectors (lower ionisation yields!)
  - poor signal-to-noise ratio
- **Amplification of primary signal**
  - in electronics → front-end (not discussed here)
  - **Amplification of ionisation charge** in sensors
    - by feeding energy for additional ionisation
    - high electric field around thin wires (gaseous detectors)
    - high electric field in amplification layer (semiconductor detectors)

# Gas amplification

- High electric field around thin metal wire  $\propto 1/r$ ,  
typical radii: 10 - 50  $\mu\text{m}$ 
  - avalanche formation within few wire radii
- **Gain from avalanche in gas**

$$N(x) = N_0 \cdot \exp(\alpha x) \text{ and } G = \exp\left(\int_{r_1}^{r_2} dx \alpha(x)\right)$$

- exponential growth with first Townsend coefficient  $\alpha$
- breakdown for alpha  $x \geq 20$  (Raether limit)
- excitation of gas  $\rightarrow$  UV photons  
 $\rightarrow$  additional avalanches
- quencher (e.g. CO<sub>2</sub>) to absorb UV photons  
 $\rightarrow$  stable operation with higher gain



Needs careful control of operating conditions  
(pressure, high voltage, temperature)

# Operational regimes

- **Ionisation chamber**

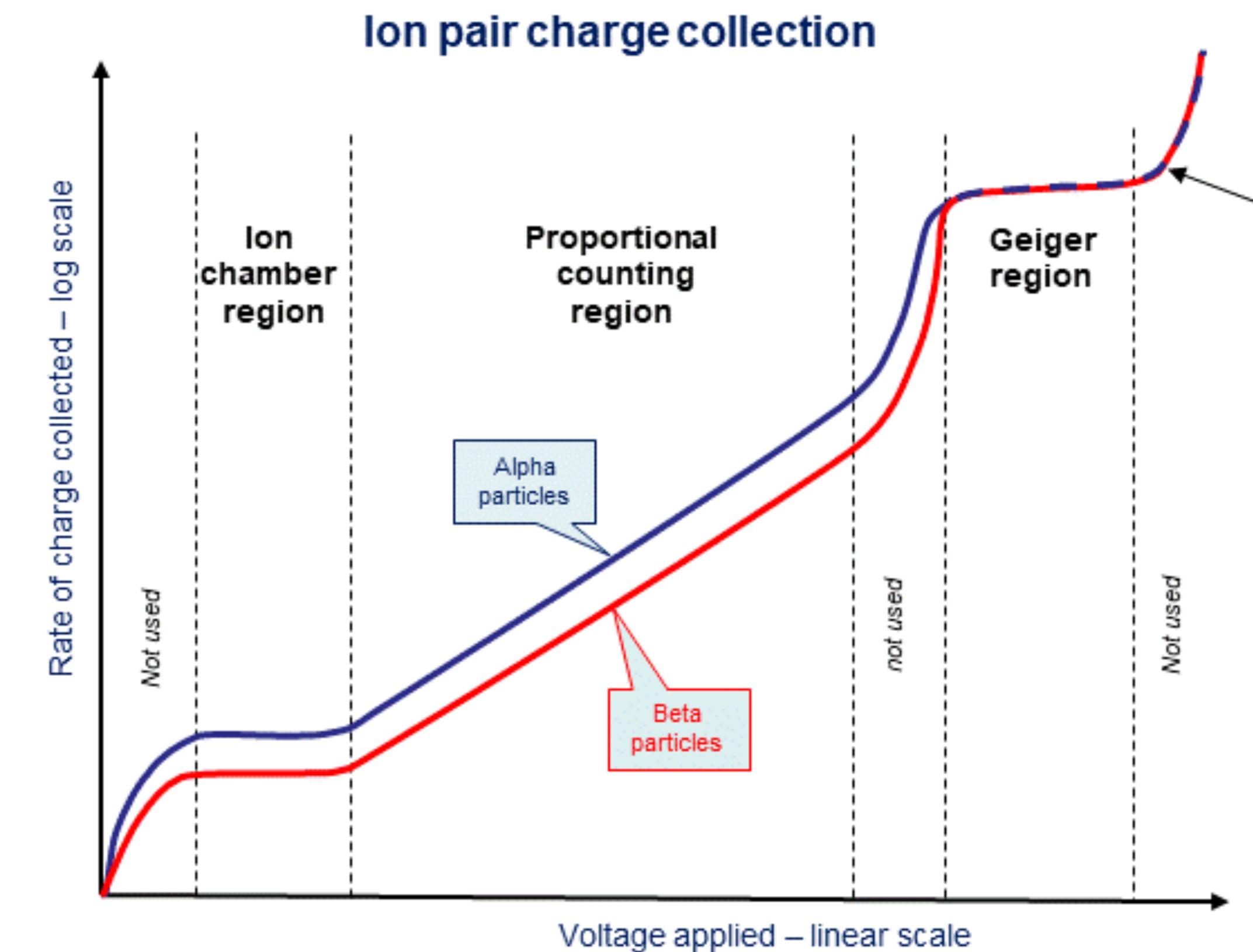
- collect all charge from ionisation,  
no gas gain

- **Proportional counter**

- gain from avalanches
  - proportional to initial ionisation
  - exponential dependence on voltage

- **Geiger counter**

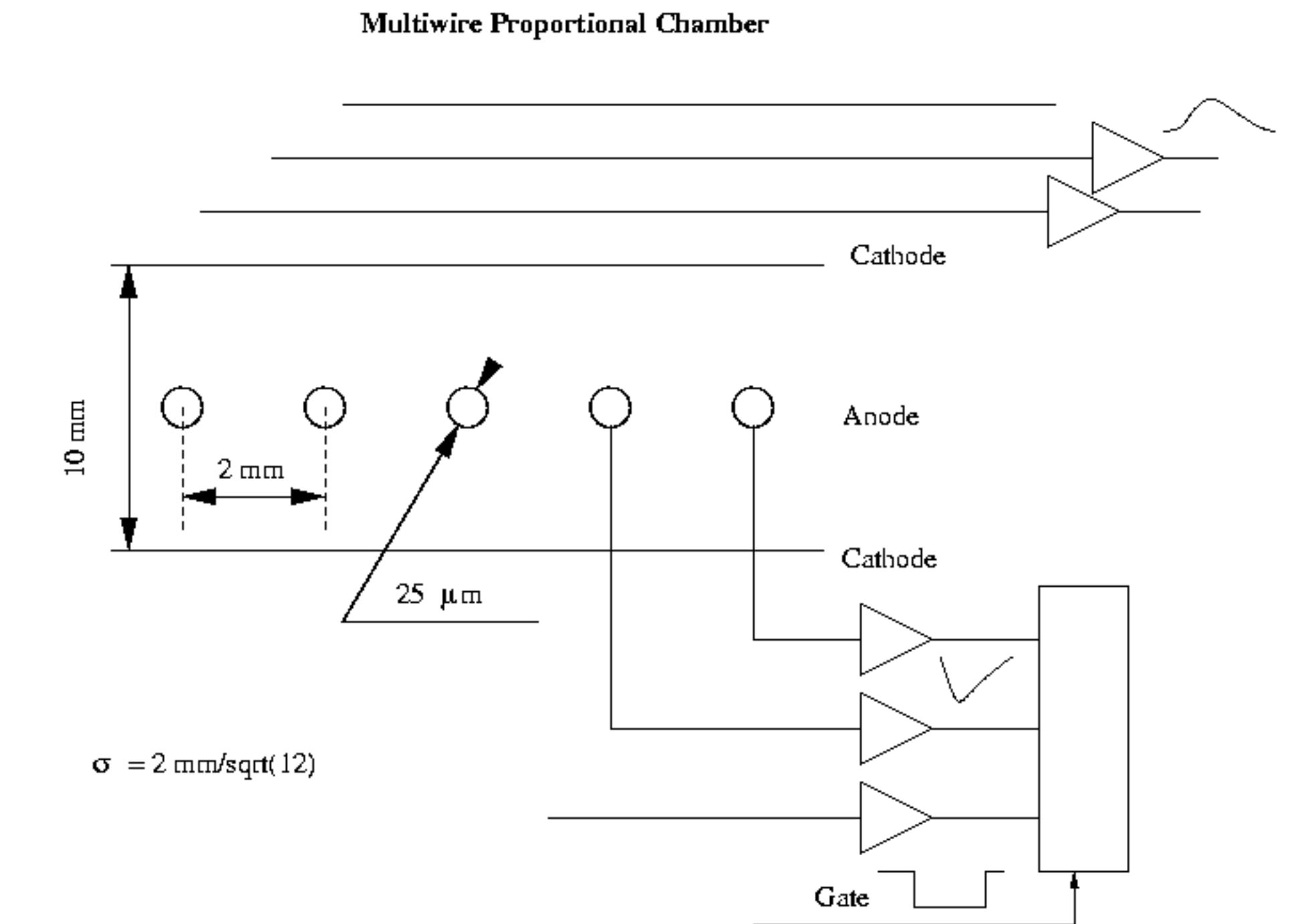
- gain from avalanches
  - independent of initial ionisation  
(saturation)



in proportional region:  
gain depends exponentially on voltage

# Multi-Wire Proportional Chamber

- Combination of
  - primary ionisation in gas
  - drift towards anode wires
  - gas amplification around anode wires  
→ larger signal
  - segmented cathode plane for induced charge  
→ more precise position information
- Operation in proportional regime  
→ provides information on
  - position
  - energy loss ( $dE/dx$ )



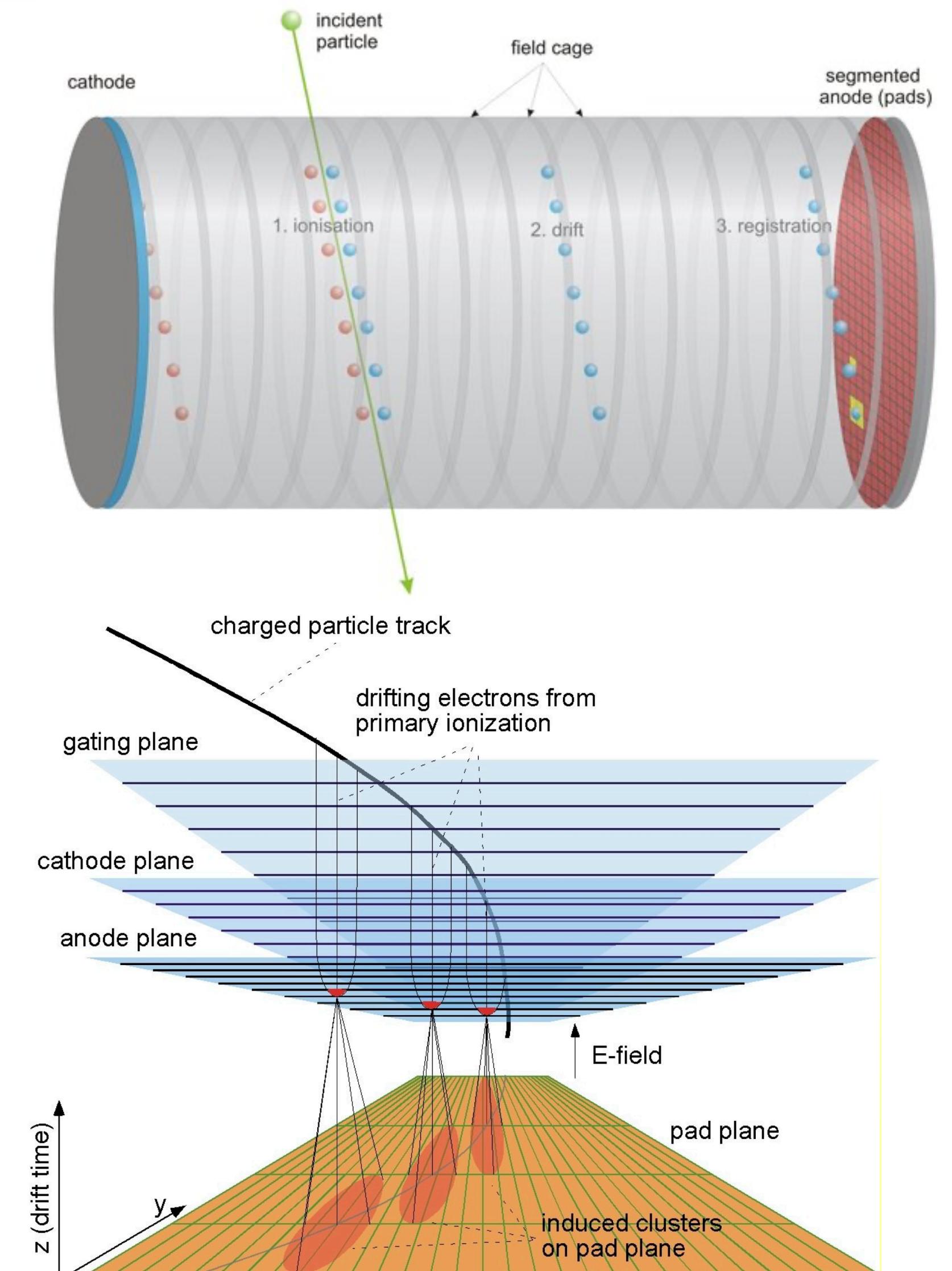
**Instrumentation of large areas**  
(2d position and energy loss)

# Time Projection Chamber

- combination of different techniques
  - primary ionisation in gas
  - charge collection through drift in electric field
  - read-out at the end of drift volume,  
e.g. MWPC, GEM
- very powerful detector with some limitations
  - rate limited by ions entering drift region  
→ distortions

Examples

- ALICE TPC



Readout chamber of ALICE TPC

# Micro pattern gas detectors (MPGD)

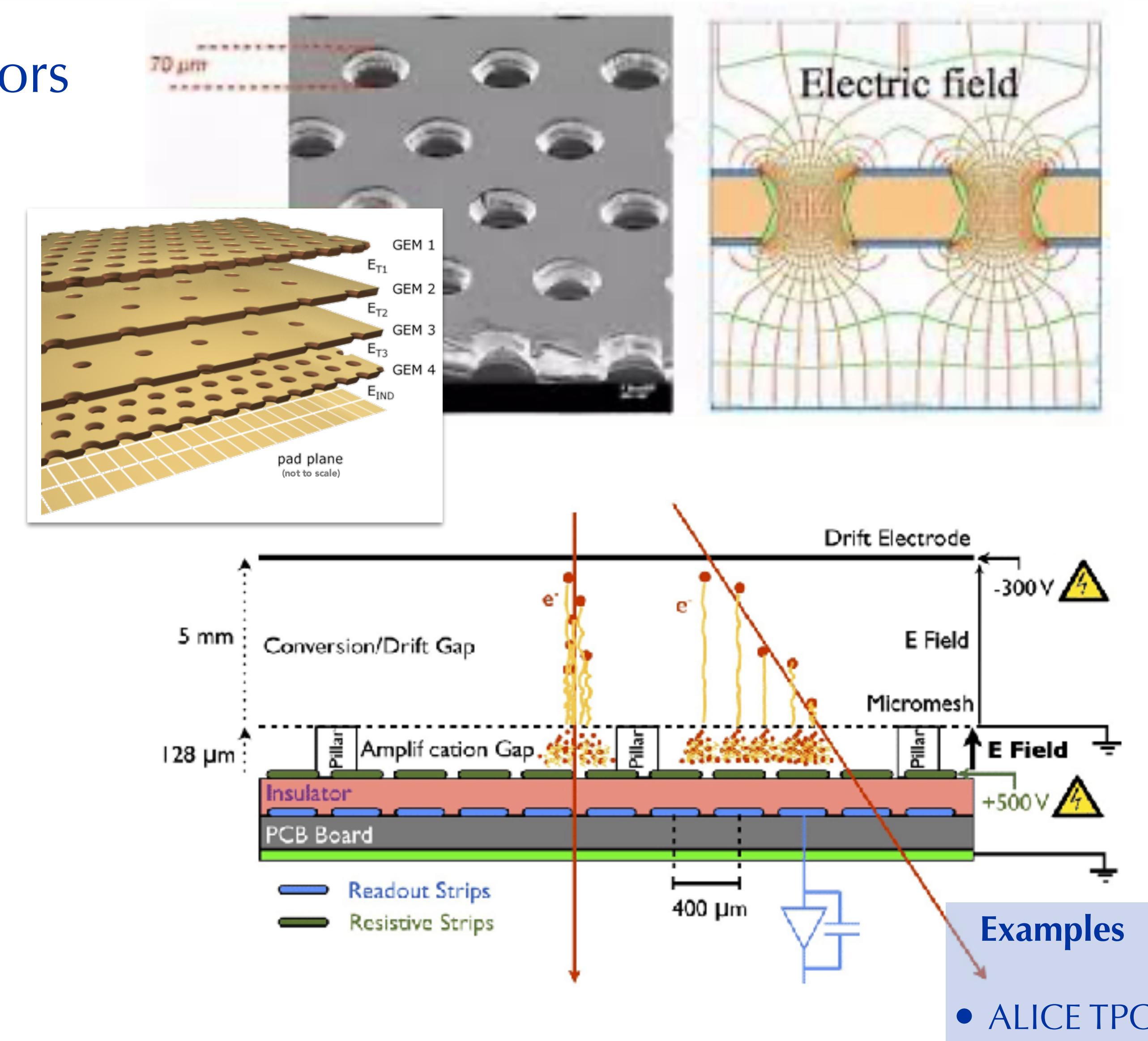
- Reduce structure size in gaseous detectors to cope with high particle flux, e.g.

- **Gas electron multiplier (GEM)**

- thin Kapton foil,  $\mathcal{O}(50 \mu\text{m})$
  - copper coating
  - etched holes,  $\mathcal{O}(50 \mu\text{m})$

- **MICRO-MEsh Gasesous Structure (Micromegas)**

- drift and amplification regions separated by thin mesh
  - strong field above micro strips



# Charge amplification in semiconductors

- Amplification also possible in semiconductors

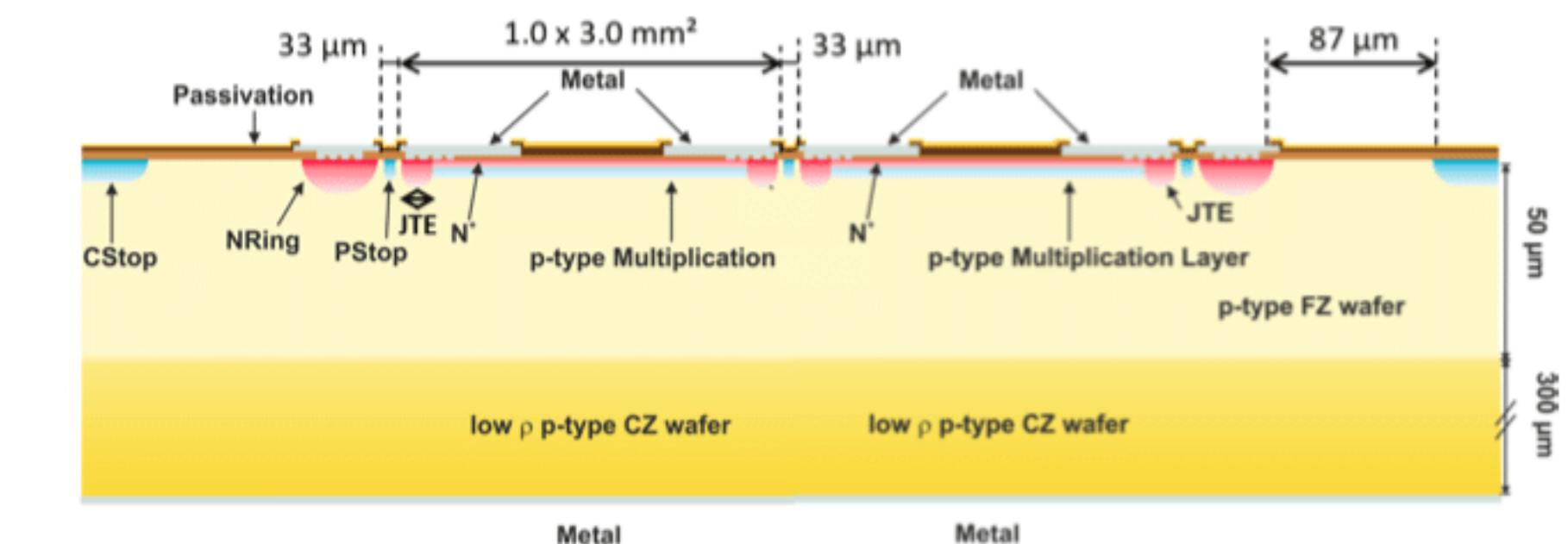
- addition of doped layer
  - strong electric field
  - amplification

- Advantages

- larger signal
- faster charge collection

- Applications

- Avalanche Photo Diode (APD, gain 100-1000) → photon detection
- Single Photon Avalanche Diode (SPAD, breakdown) → single photon detection
- Low-Gain Avalanche Diode (LGAD, gain 10-100) → timing detectors



Examples

- ATLAS/CMS timing

# Particle identification

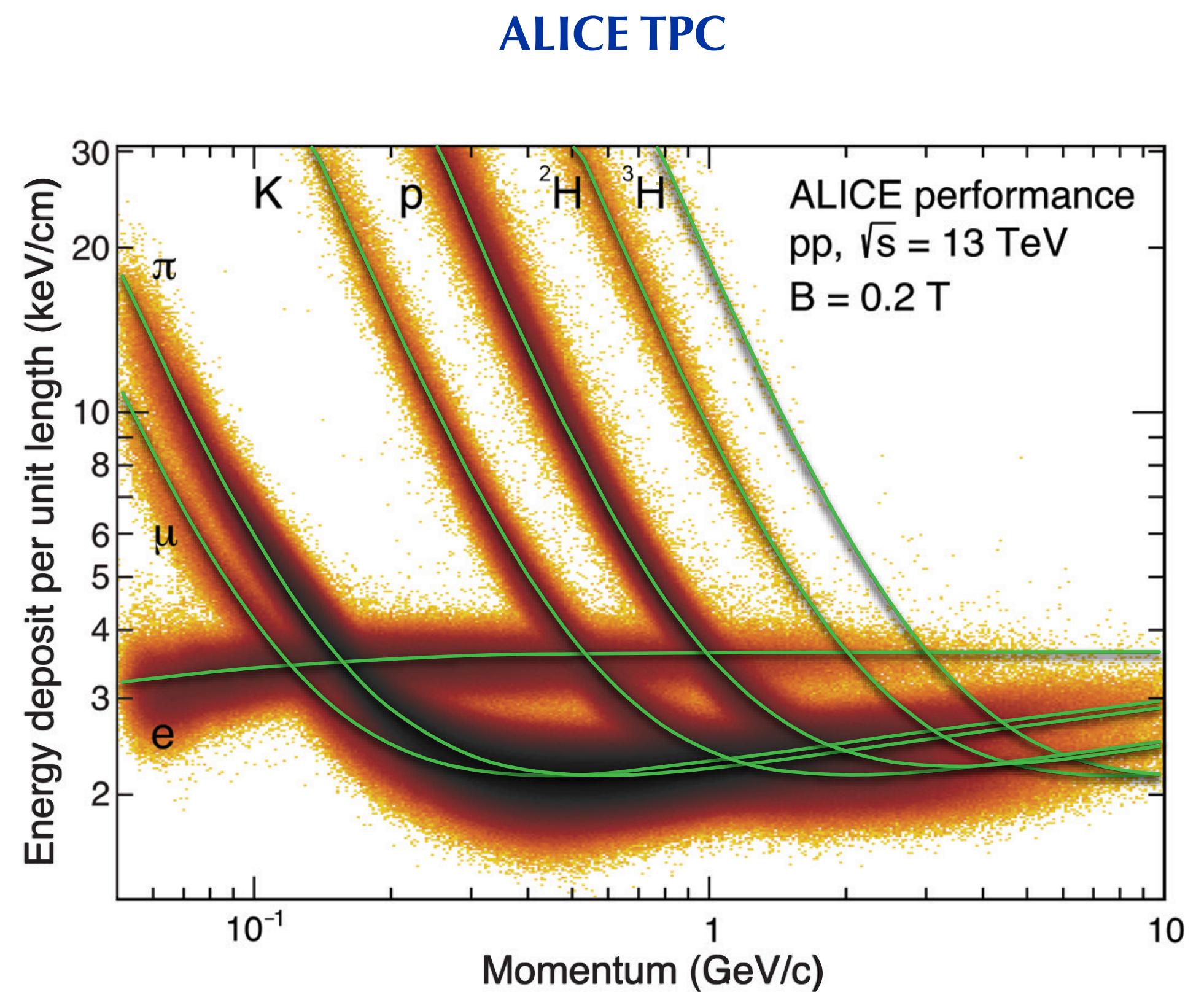
# Particle identification

- Idea: extract mass from combination of momentum and
  - **specific energy loss**  $dE/dx$
  - **time of flight** separation  $\propto L / \sigma_{\text{tof}}$ 
    - large path length with fast time resolution
  - **Cherenkov** radiation with angle  $\cos \vartheta = 1 / n\beta$ 
    - refractive index to optimise coverage
    - angular resolution
  - transition Radiation
  - **electromagnetic shower** (electrons)
  - **hadron absorption** (muons)

**Combination of techniques**  
to achieve PID goals

# Specific energy loss

- **Specific energy loss (Bethe Bloch)**  
function of  $\beta\gamma = p/m$ 
  - for given momentum  
 $\rightarrow$  function of mass
  - ambiguities at line crossings
- Requires **combined measurement** of
  - momentum  $\rightarrow$  tracker
  - $dE/dx \rightarrow$  deposited charge



# Time of flight

- Velocity of particle (at given momentum) depends on mass  
→ different time of flight for different mass hypotheses:

$$\Delta t = \frac{L}{c} \left( \frac{1}{\beta_1} - \frac{1}{\beta_2} \right) \approx \frac{Lc}{2p^2} (m_1^2 - m_2^2)$$

- separation requires
- Requires **fast detectors** with time resolutions on the order of **50 ps**
  - Scintillators + PMT
  - MRPCs
  - LGADs (already discussed in context of charge amplification)
  - Cherenkov counters

# Scintillators

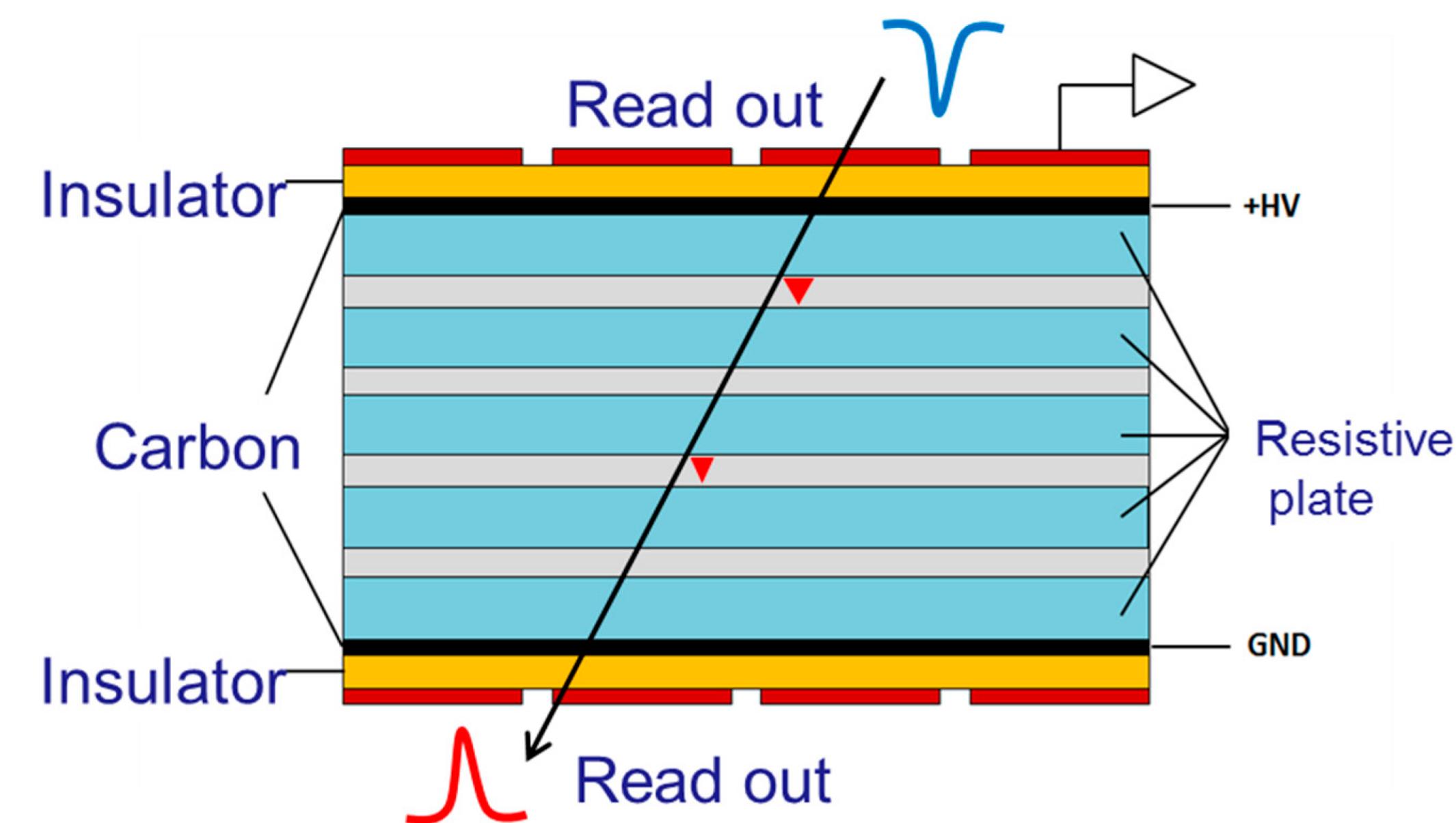
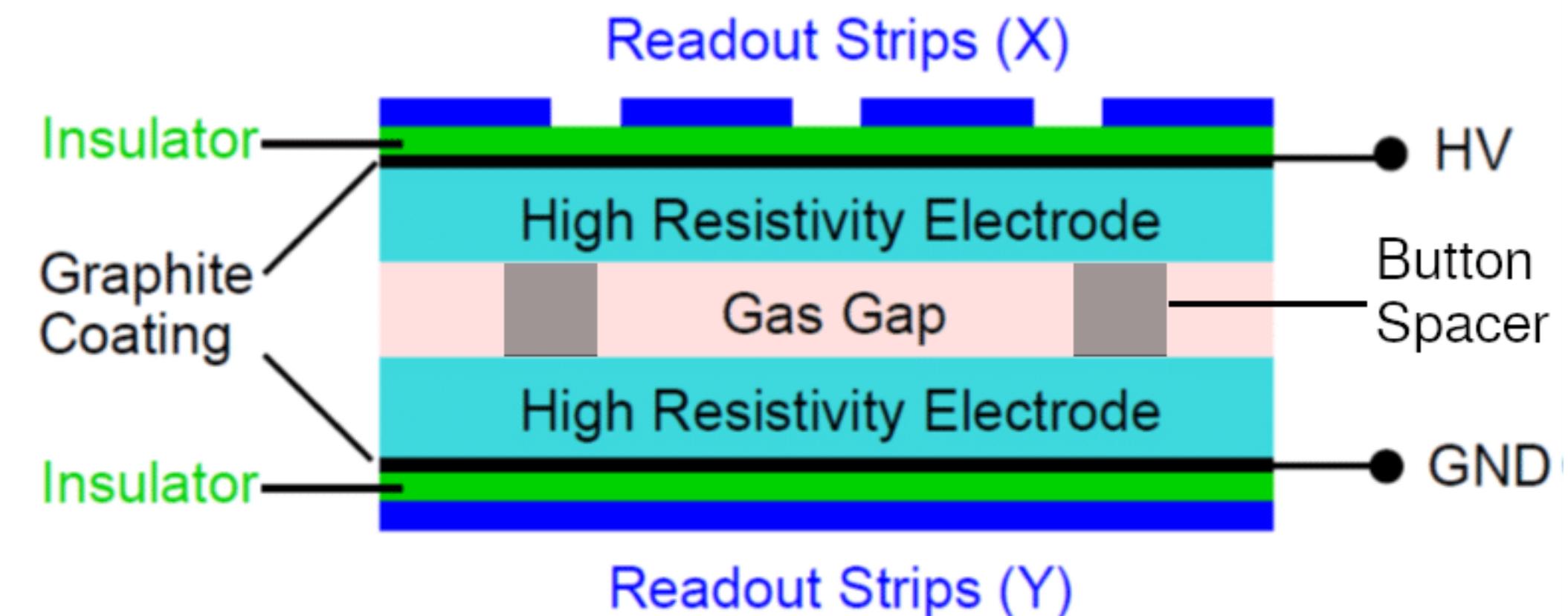
- **Production of (visible) light** from energy deposited by charged particles (via excitation and ionisation/recombination)
- **Inorganic crystals** (solid)
  - based on crystals with activator doping (high density)
  - typical photon yield ~40 photons / 100 eV of energy deposit (NaI)
  - decay times in the order of  $\mu\text{s}$
  - complicated crystal growth  
→ expensive
- **Organic scintillators** (solid and liquid)
  - based on aromatic matrix, e.g. benzene
  - typical wavelengths 370 - 750 nm, typically peaking around 425 nm
  - typical photon yield ~1 photon / 100 eV of energy deposit
  - decay times in the order of ns
  - easy to produce → cheap
- **Polymers**
  - based on plastics
  - Easy to manufacture (incl. extrusion)

# Resistive Plate Chambers

- Resistive Plate Chamber (RPC) with
  - high-resistivity electrodes
  - high fields  
→ immediate formation of avalanche
  - quenching in high-resistivity electrode (suppression of continuous discharge)
- Multi-gap Resistive Plate Chamber (MRPC):  
**Extension to multi-gap device**  
with floating inner plates

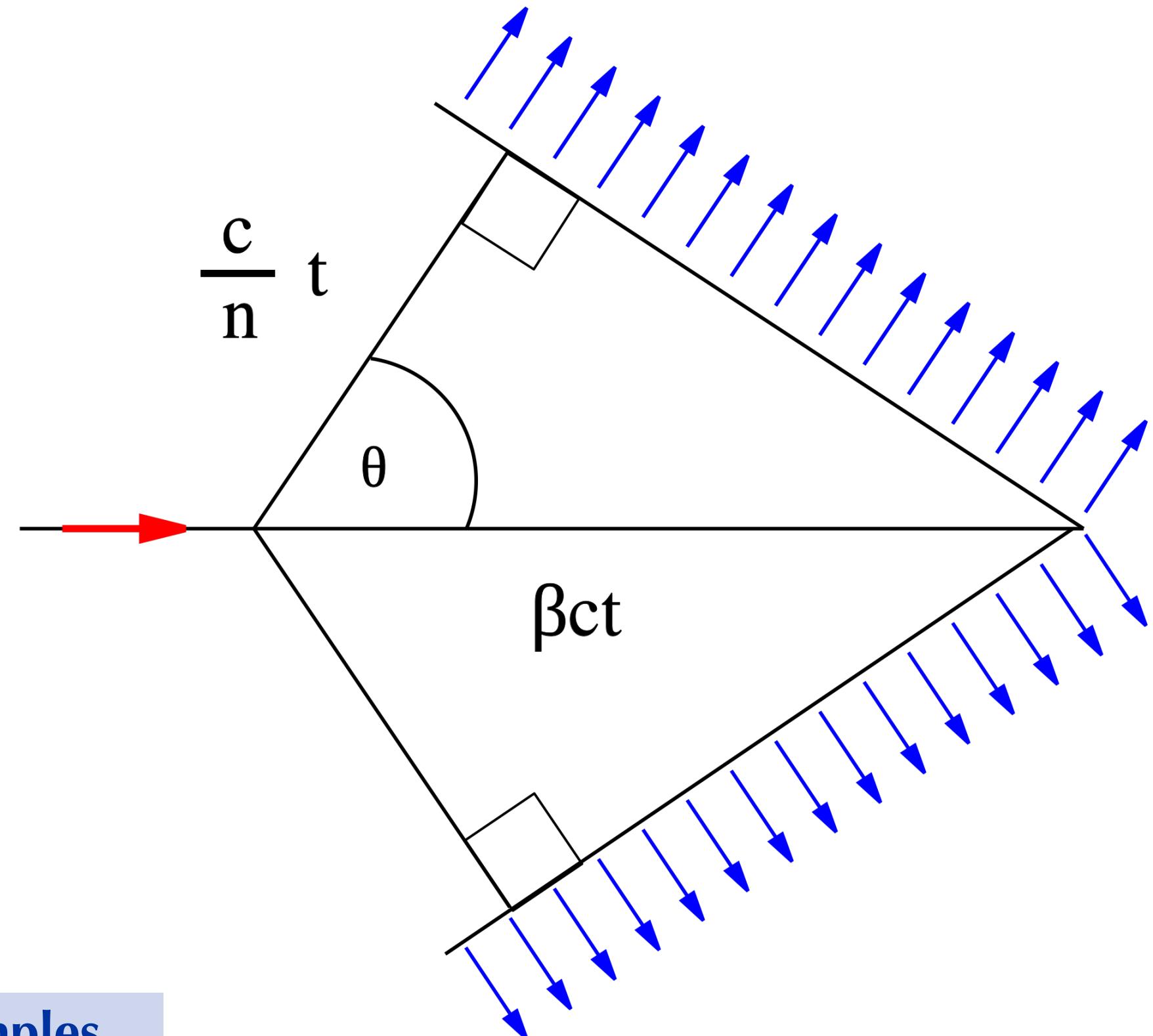
Examples

- ALICE TOF



# Cherenkov radiation

- Cherenkov effect
  - **emission of light by particles above speed of light**
  - emission under characteristic angle
  - spectrum
- **Applications**
  - timing
  - threshold
  - RICH
  - DIRC



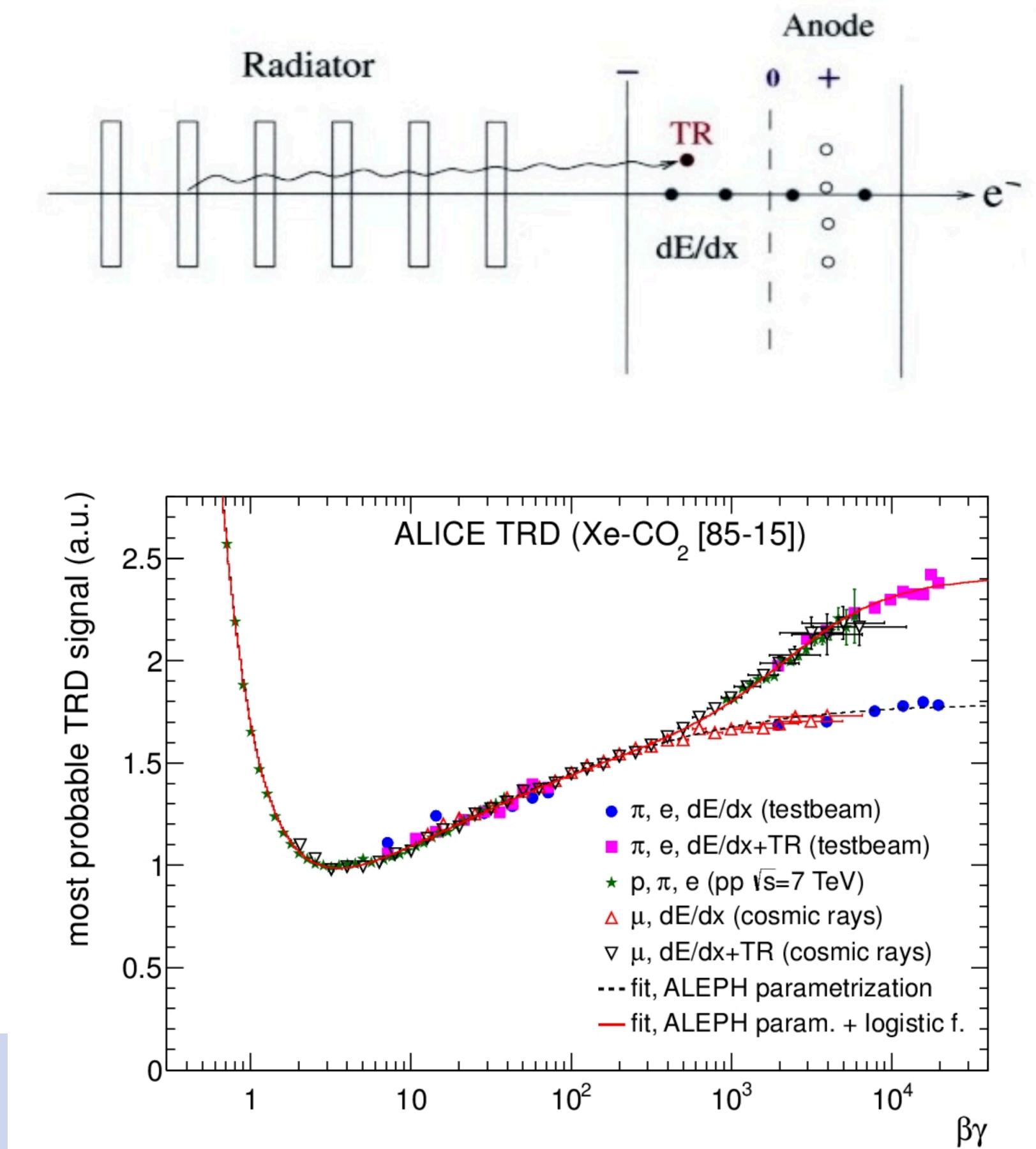
Examples  
• LHCb RICH

# Transition Radiation

- **Generation of real photons**  
when highly-relativistic charged particle  
traverses boundary between two dielectrics
  - onset for  $\gamma \approx 1000$
  - photons typically in UV range
- **At accelerator energies only relevant for electrons**  
→ electron identification
  - demonstration with highly energetic muons  
from cosmic rays

**Examples**

- ATLAS TRT
- ALICE TRD



Electromagnetic showers  
→ interactions of  
electrons and photons

# Bremsstrahlung

- **Accelerated charge** radiates bremsstrahlung  
(mostly relevant for electrons)

- interaction with field of nucleus

$$\sigma_{\text{brems}} \propto \frac{Z^2 \alpha^3}{(m_e c^2)^2}$$

- energy spectrum approximately

$$\frac{d\sigma}{dk} \approx \frac{A}{X_0 N_A} \frac{1}{k} \left( \frac{4}{3} - \frac{4}{3}y + y^2 \right) \text{ with } y = k/E$$

- **Radiation length  $X_0$**  to characterise energy loss

$$E(x) = E_0 \exp(-x/X_0)$$

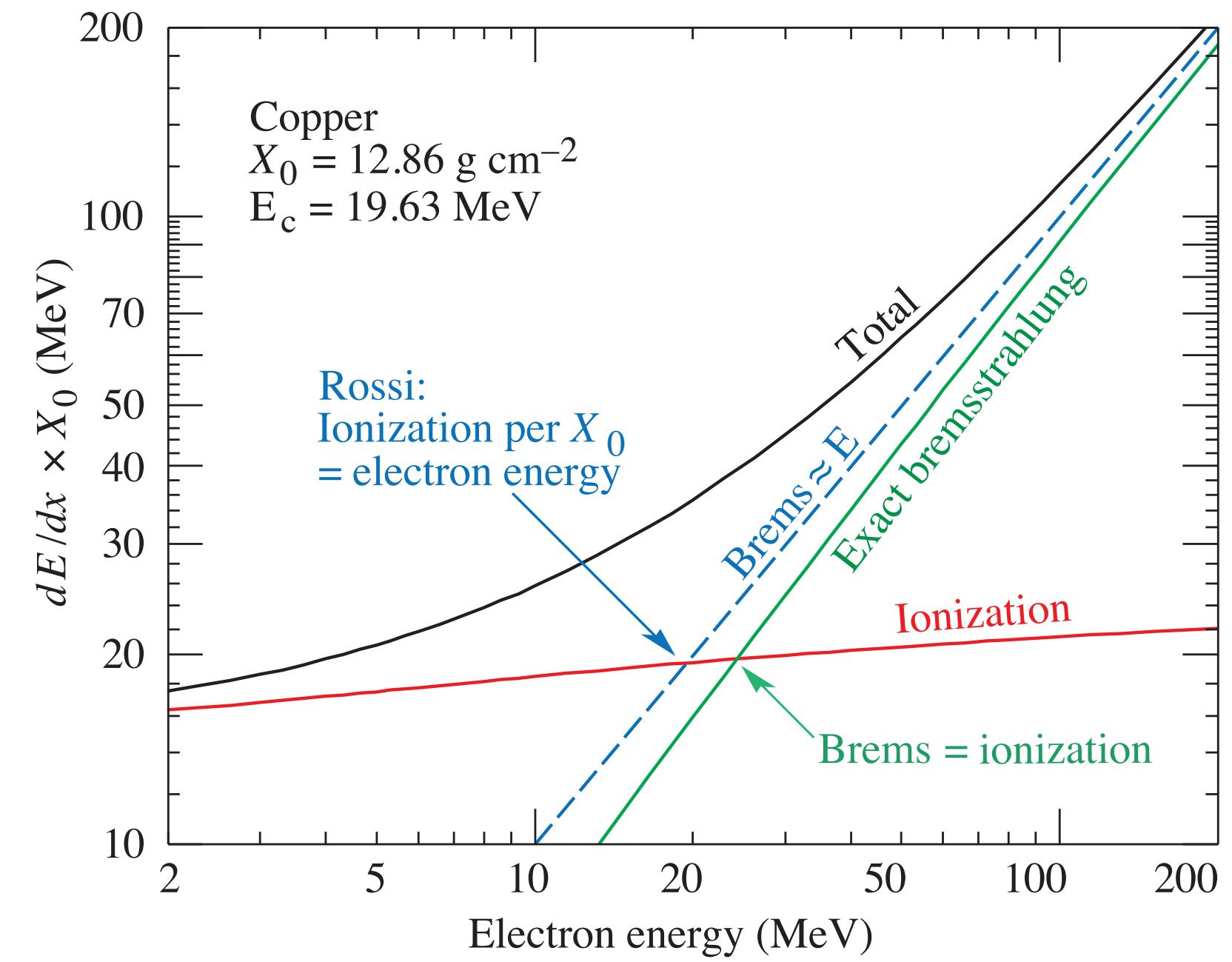
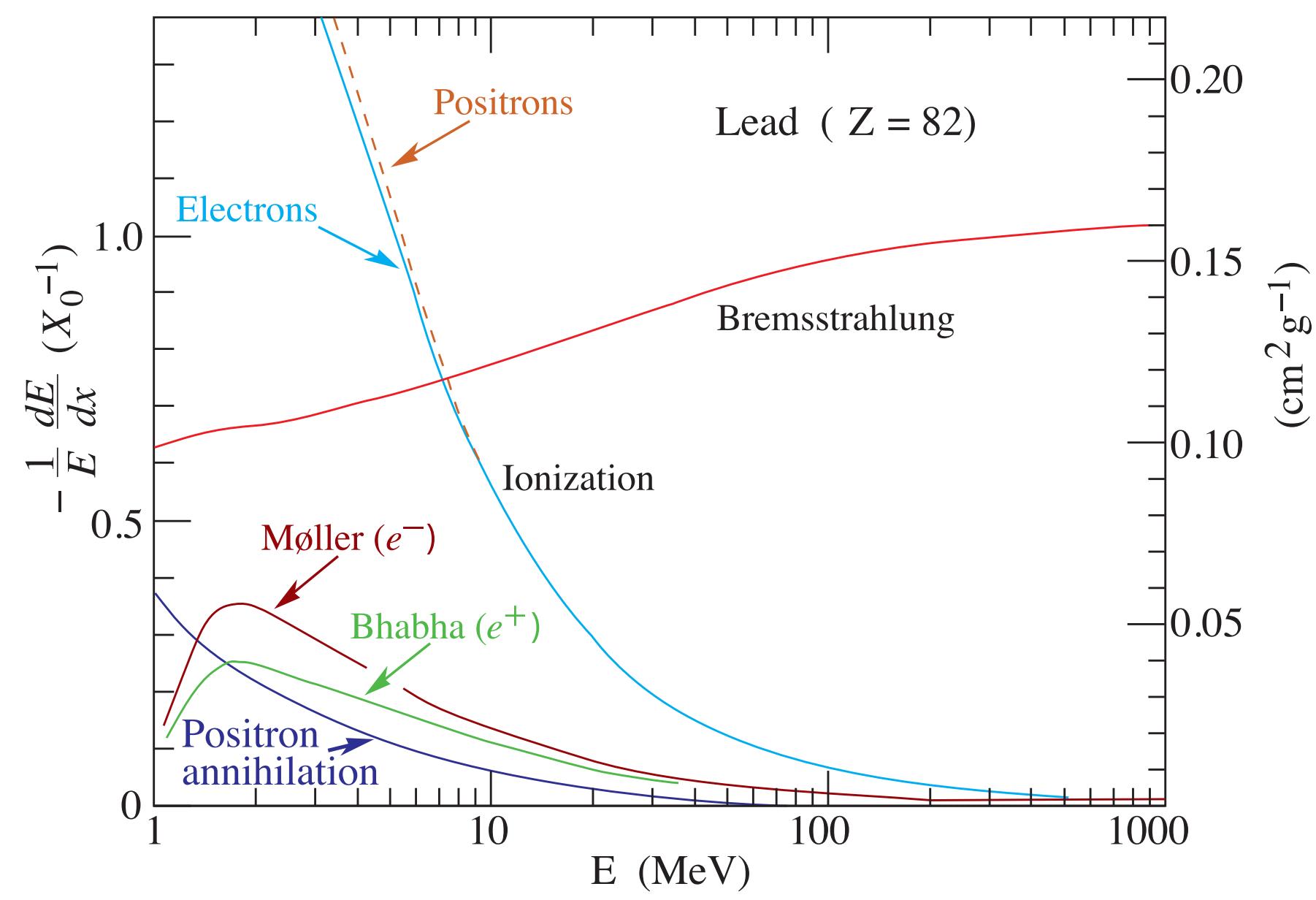


# Energy loss of $e^\pm$

- Contributions from
  - ionisation (Bethe Bloch)
  - bremsstrahlung ( $\propto -E/X_0$ )

- At **critical energy** transition from dominance of ionisation and bremsstrahlung

$$E_c \approx \frac{580}{Z} \text{ MeV} \text{ (for electrons and } Z > 13)$$

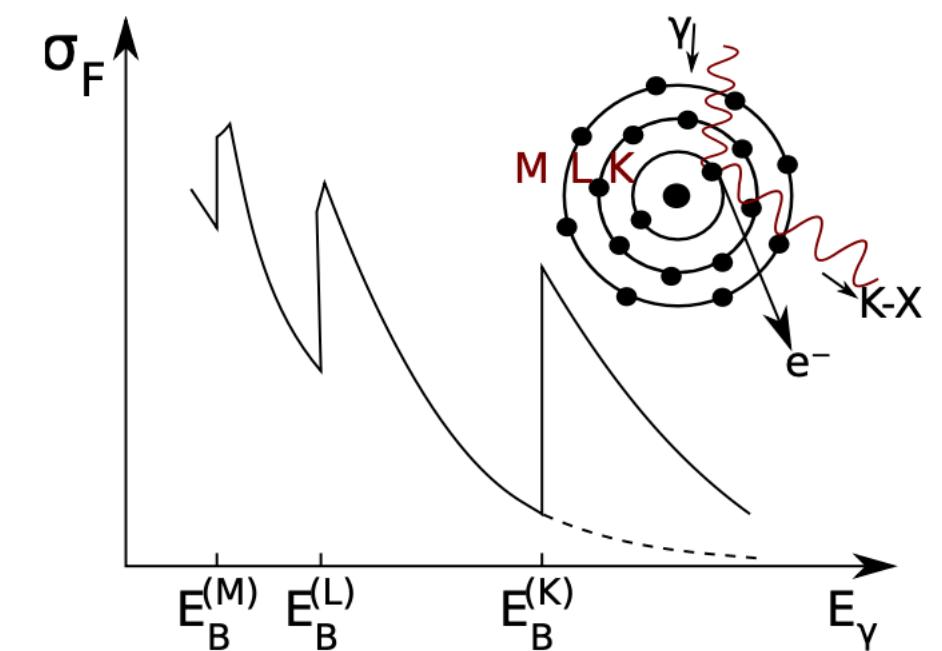
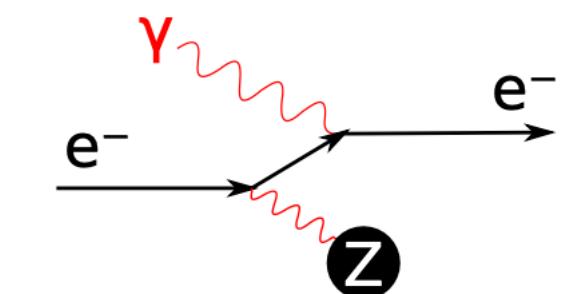


# Interactions of photons

- **Absorption** (elimination of photon) instead of energy loss  
→ Lambert-Beer law for attenuation (exponential)
- **Mechanisms** (increasingly important with increasing energy)
  - photo effect
  - Compton scattering (incoherent)
  - pair production (in nuclear field)
- **Neglected effects**
  - Rayleigh scattering (coherent)
  - photo-nuclear absorption
  - pair production (in electron field)

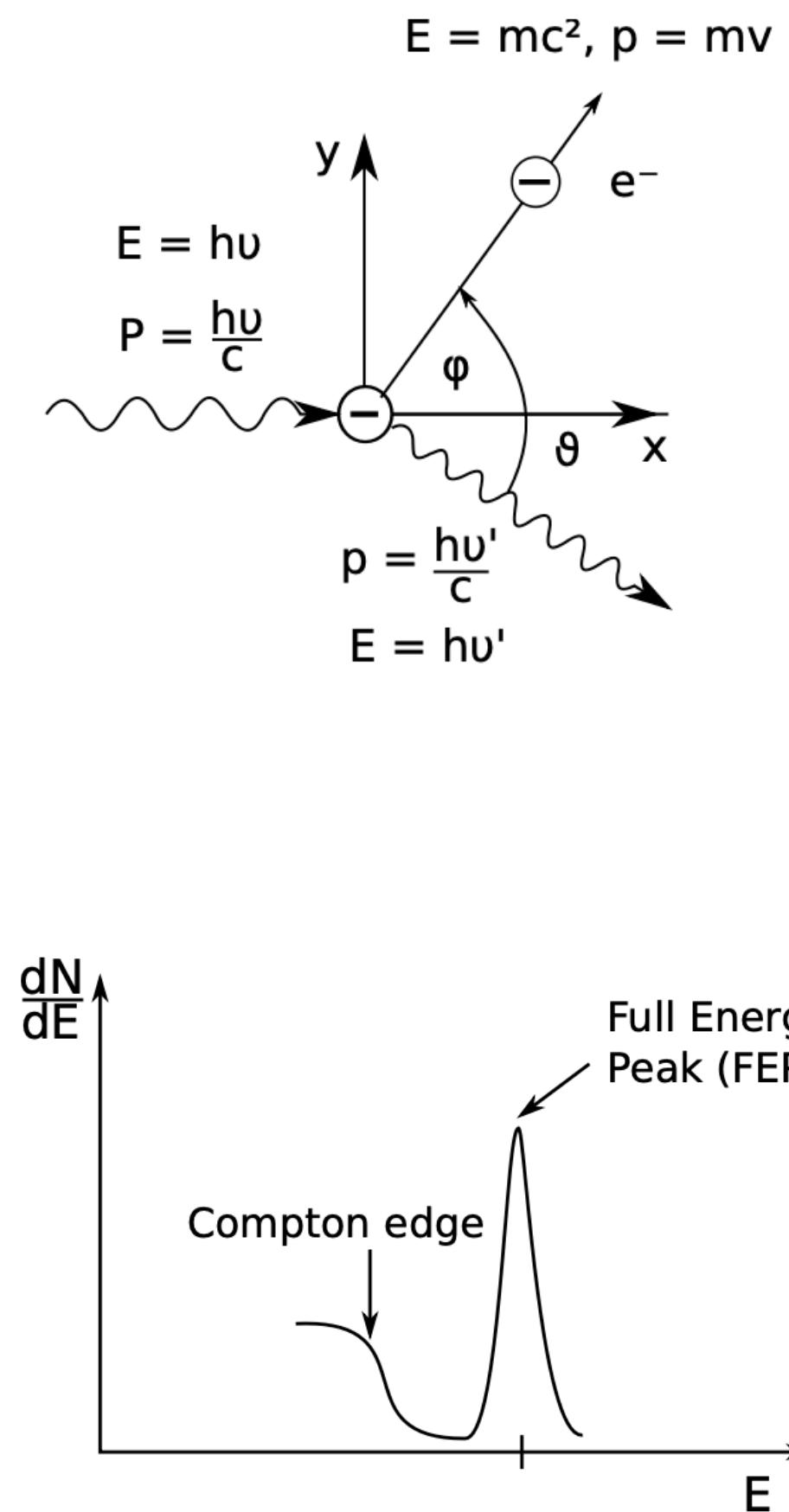
# Photo effect

- **ionisation of atom**  $\gamma + X \rightarrow X + e^-$
- cross section with strong Z dependence
- $$\sigma_{\text{ph}} = \alpha \pi a_b Z^5 \left( \frac{I_0}{E_\gamma} \right)^{\frac{7}{2}}$$
 with  $I_0 = 13.6 \text{ eV}$ ,  $a_b = 0.53 \cdot 10^{-10} \text{ m}$
- **characteristic edges** from shell structure
- subsequently, de-excitation with emission of
  - **X-ray photon**
  - **Auger electron**



# Compton scattering

- Scattering of photon off quasi-free electron
  - extension of Thomson scattering
  - $$\sigma_{\text{Th}} = \frac{8\pi}{3} r_e^2$$
to higher energies (Klein-Nishina)
  - kinematics limits energy transfer  
→ Compton edge
  - strongly forward peaked for high energy photons



# Pair production (Bethe Heitler)

- Production of  $e^+e^-$  pair from photon

- requires scattering centre (nucleus) for recoil

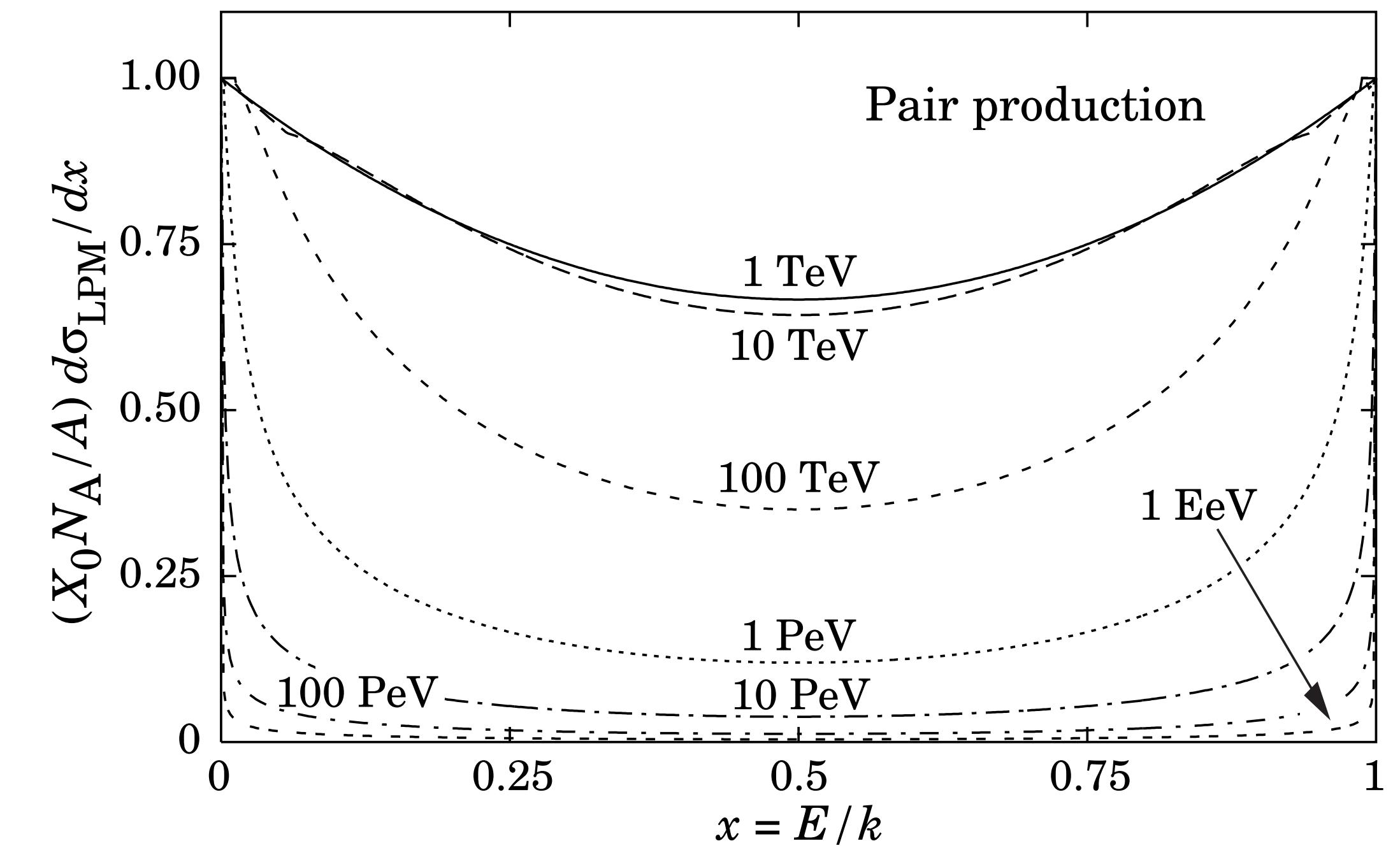
- cross section described by

$$\sigma_{\text{pair}} = 4Z^2 \alpha r_e^2 \left( \frac{7}{9} \log \frac{183}{Z^{1/3}} - \frac{1}{54} \right)$$

$$\approx \underbrace{\frac{7}{9} 4 \alpha r_e^2 Z^2 \log \frac{183}{Z^{1/3}}}_{=(A/N_A)X_0}$$

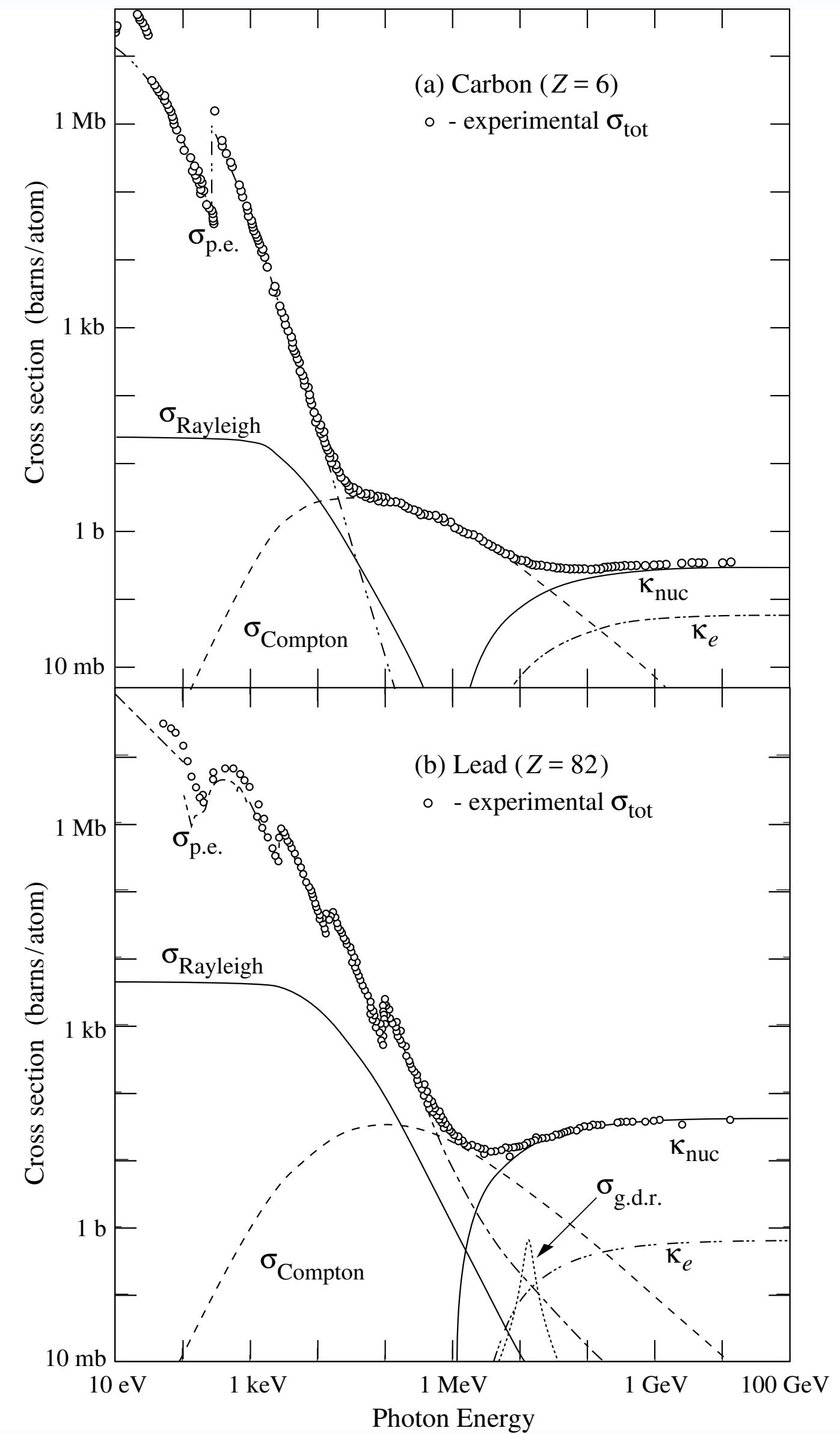
with radiation length  $X_0$

- asymmetric energy sharing favoured



# Photon interactions

- **Different effects** dominate depending on energy  
(in order of increasing relevance with higher energy)
  - photo effect
  - Compton scattering (incoherent)
  - pair production (in nuclear field)
- **Sub-dominant effects**
  - Rayleigh scattering (coherent)
  - photo-nuclear absorption
  - pair production (in electron field)

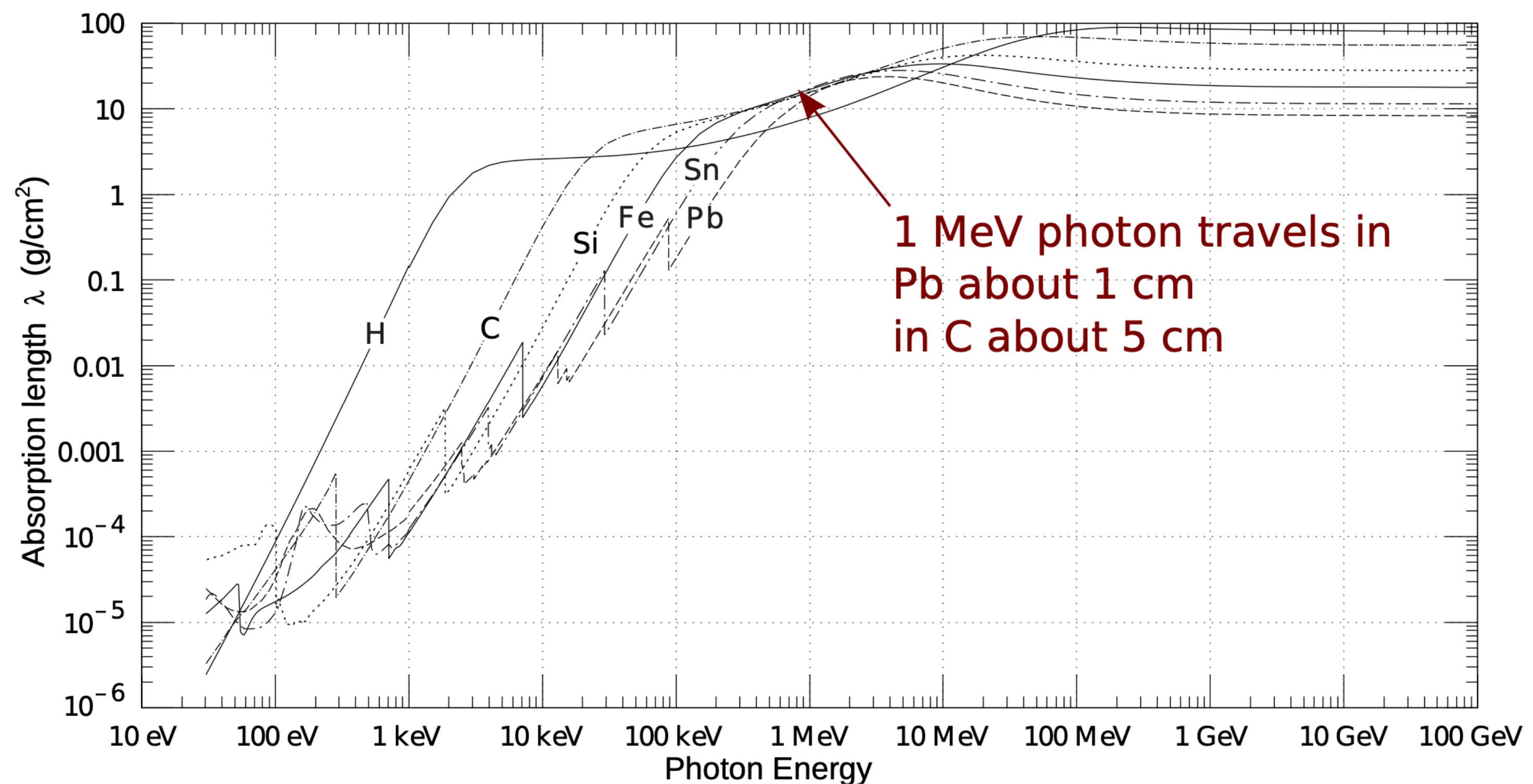


# Photon mass attenuation length

- Photon absorption described by absorption length  $\lambda$  (independent of density)

- multiply by density to obtain absolute length

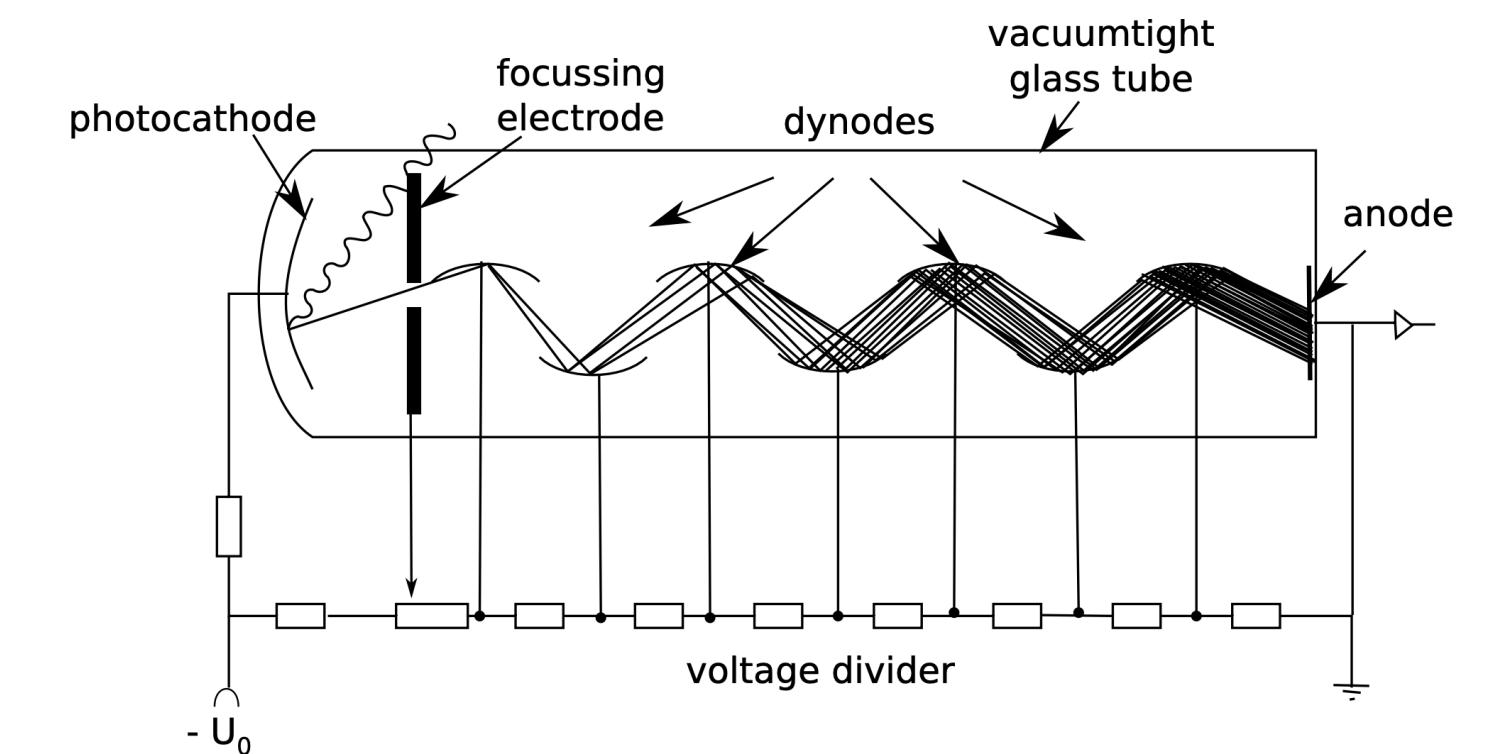
$$L = \lambda \cdot \rho$$



# Photon detectors

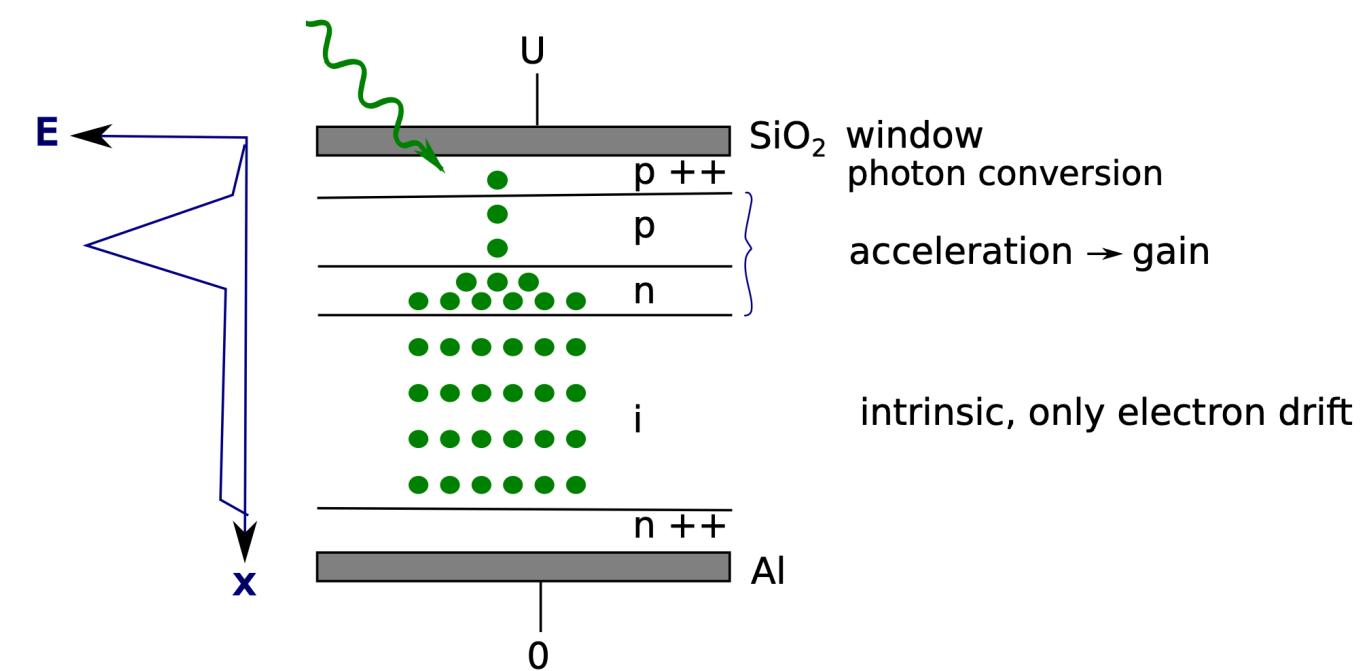
- **PhotoMultiplier Tube (PMT)**

- amplify electrons from photo effect
- classic detector, still actively used
- difficult to operate in B field



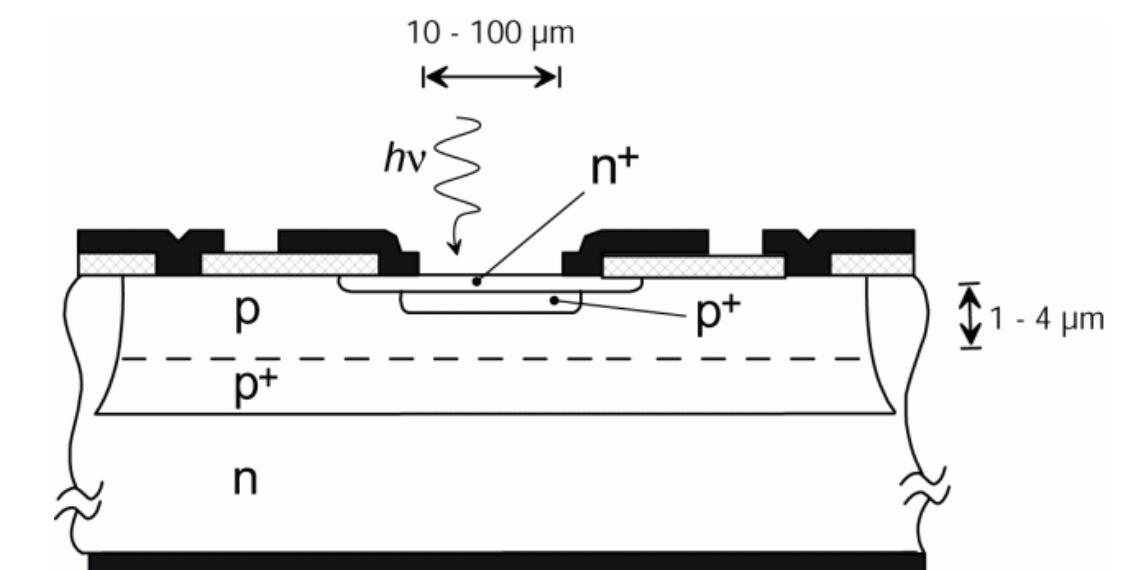
- **Avalanche Photo Diode (APD)**

- amplify charge carriers in amplification layer



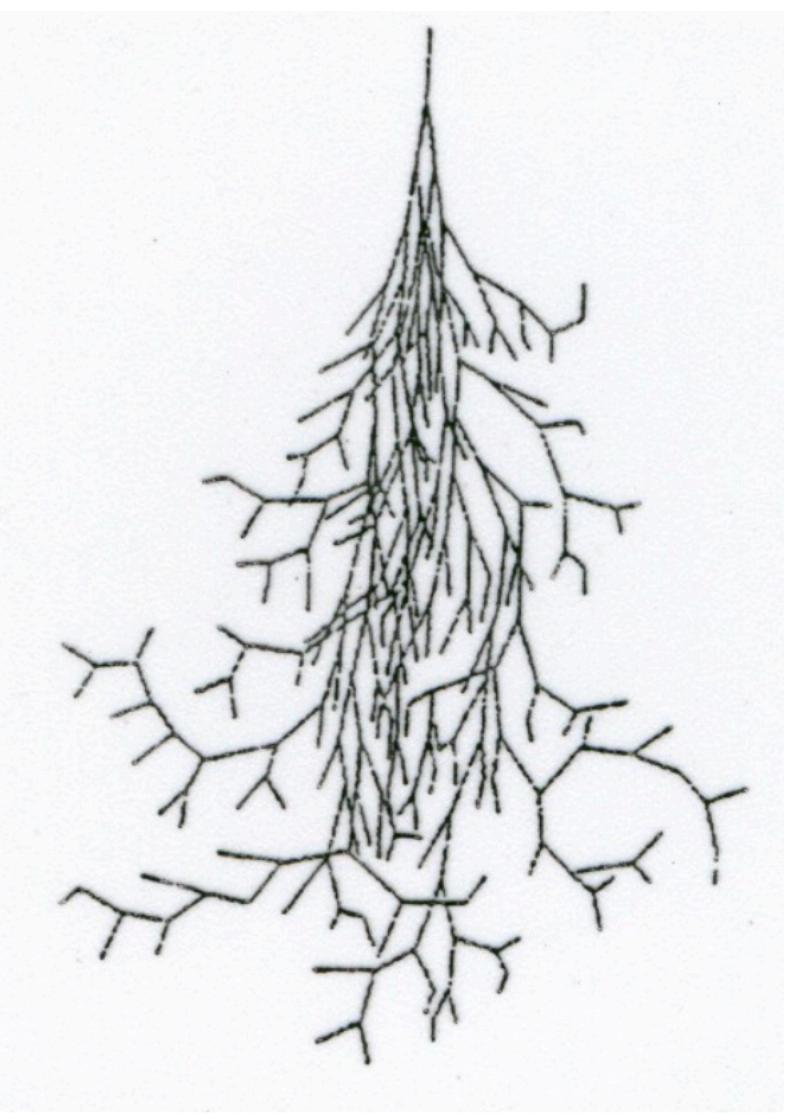
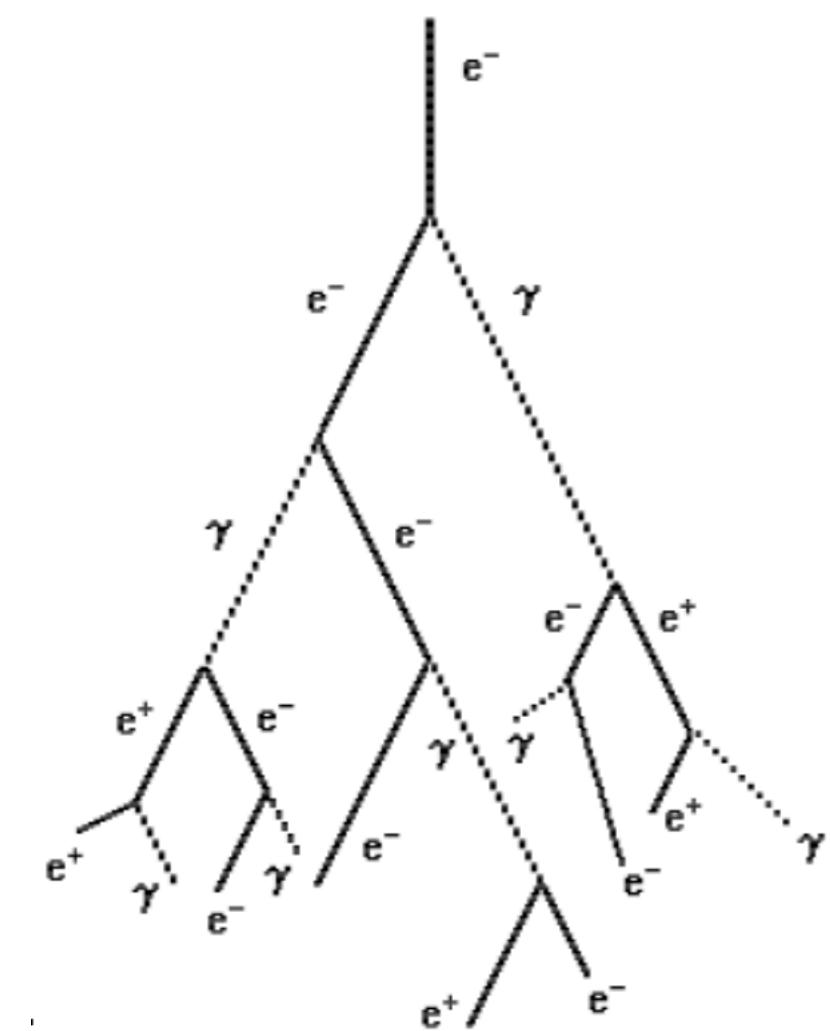
- **Single Photon Avalanche Diode (SPAD)**

- strong gain (break-down, quenching)  
→ sensitive to single photons
- Silicon Photo Multiplier (SiPM)  
→ array of SPADs



# Electromagnetic showers

- Cascade of
    - bremsstrahlung  $e^\pm (+ X) \rightarrow e^\pm (+X) + \gamma$
    - pair production ( $\gamma \rightarrow e^+ + e^-$ )
  - Shower modelling
    - $E < E_c$ : only ionisation
    - $E > E_c$ : only radiation



# Longitudinal shower evolution

- **Number of particles** in units of radiation lengths ( $t := x/X_0$ )

$$N(t) = 2^t, E(t) = \frac{E_0}{2^t} \Rightarrow t = \ln \frac{E_0}{E} / \ln 2$$

$$N(E_0, E_1) = 2^{t_1} = 2^{\ln \frac{E_0}{E} / \ln 2} \approx \frac{E_0}{E_1}$$

- **Shower maximum**

$$t_{\max} \approx \ln \frac{E_0}{E_c} \text{ and } N(E_0, E_c) \approx E_0/E_c \propto E_0$$

- **Integrated track length** proportional to energy

$$T = X_0 \sum_{\mu=1}^{t_m \max} 2^\mu + t_0 \cdot N_m ax = (4 + t_0) \frac{E_0}{E_c} X_0 \propto E_0$$

# Transverse shower evolution

- **Transverse shower development**

dominated by multiple scattering of electrons (Molière theory)

$$\langle \vartheta^2 \rangle = \left( \frac{21.2 \text{ MeV}^2}{\beta pc} \right) t$$

- **Molière radius**

$$R_M = \vartheta_{\text{rms}} \Big|_{x=X_0} \approx \frac{21 \text{ MeV}}{E_c} X_0$$

# Material properties

material	Z	E <sub>c</sub> (MeV)	X <sub>0</sub> (cm)	R <sub>M</sub> (cm)
Ar (liq)	18	35	13.9	9.5
Fe	26	21	1.76	1.77
BGO		10	1.12	2.33
Pb	82	7.4	0.56	1.60
U	92	6.8	0.32	1.00

**Critical energy**  $E_c \propto \frac{1}{Z}$

**Radiation length**  $X_0 \propto \frac{180A}{Z^2} (\text{g cm}^{-2})$

**Molière radius**  $R_M \approx \frac{19.2 \text{ MeV}}{E_c} X_0 \propto \frac{1}{Z}$

# Calorimeters

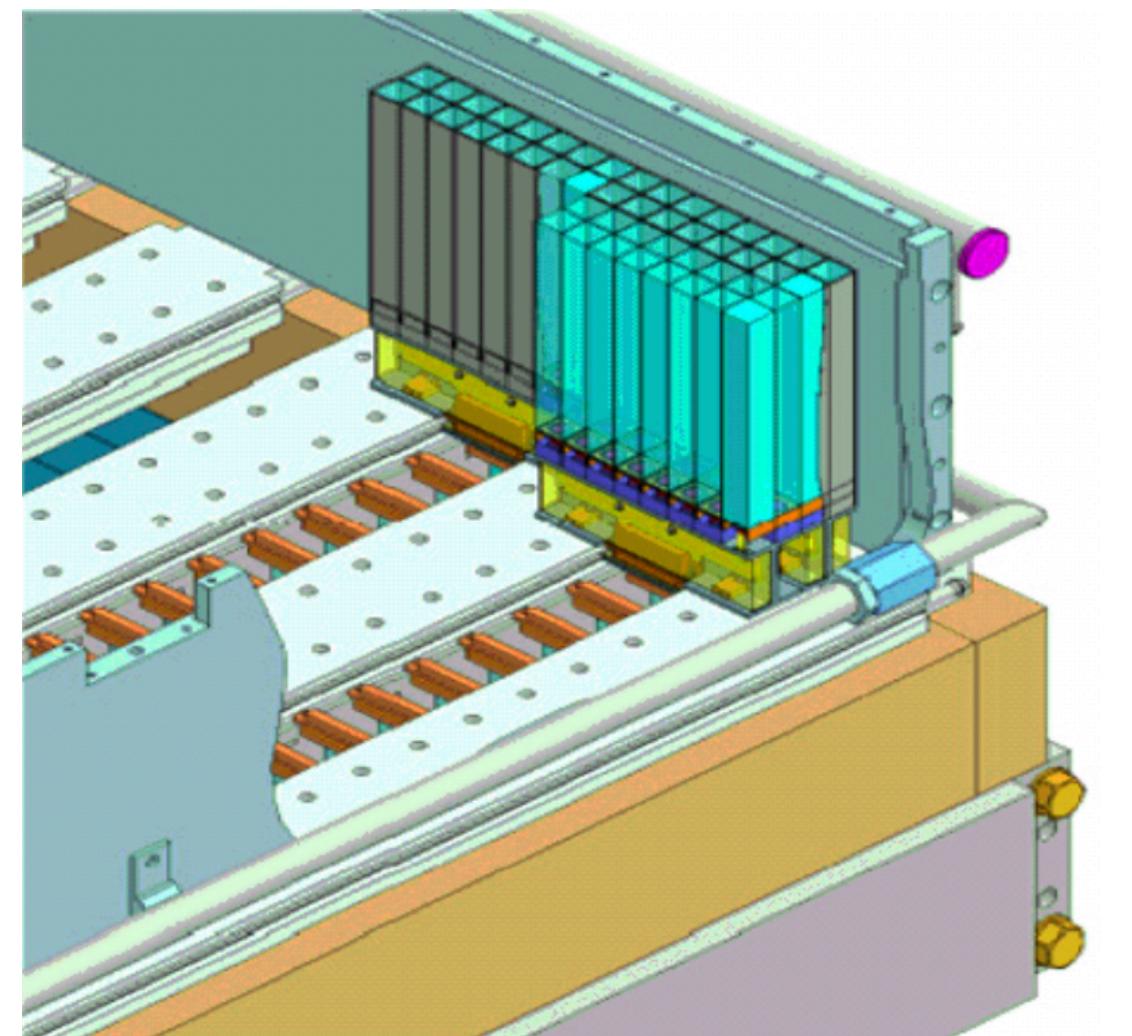
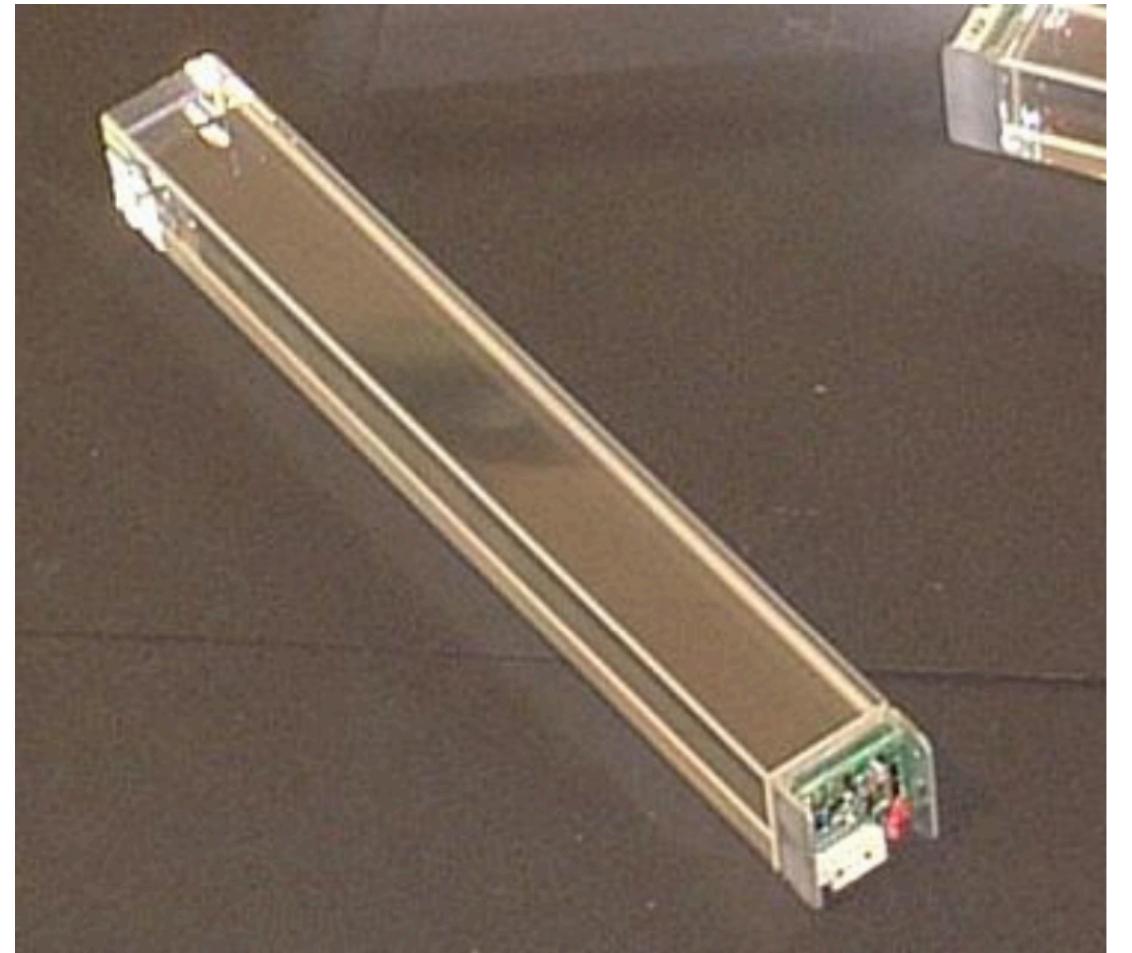
- Exploit electromagnetic shower to measure energy
  - **homogeneous calorimeter**  
shower material also detection material
  - **sampling calorimeter**  
separate materials for shower and detection
- Performance characterised by **energy resolution** given by
$$\frac{\sigma_E}{E} = \frac{A}{\sqrt{E}} \oplus \frac{B}{E} \oplus C$$
with contributions from shower fluctuations (A), electronic noise (B), leakage (C)
- **Performance improves with energy**
  - cf. momentum resolution from tracking deteriorating with  $p$

# Homogeneous calorimeter

- Requires a material serving as absorber and detector  
→ **scintillating crystals**, e.g. PbWO<sub>4</sub>
- **Properties**
  - dense material → compact detector
  - fast detector response
  - full sampling of shower → good energy resolution
  - low light yield, better at low temperatures → cooling
  - crystals are complex to grow → expensive

## Examples

- ALICE PHOS
- CMS crystal calo

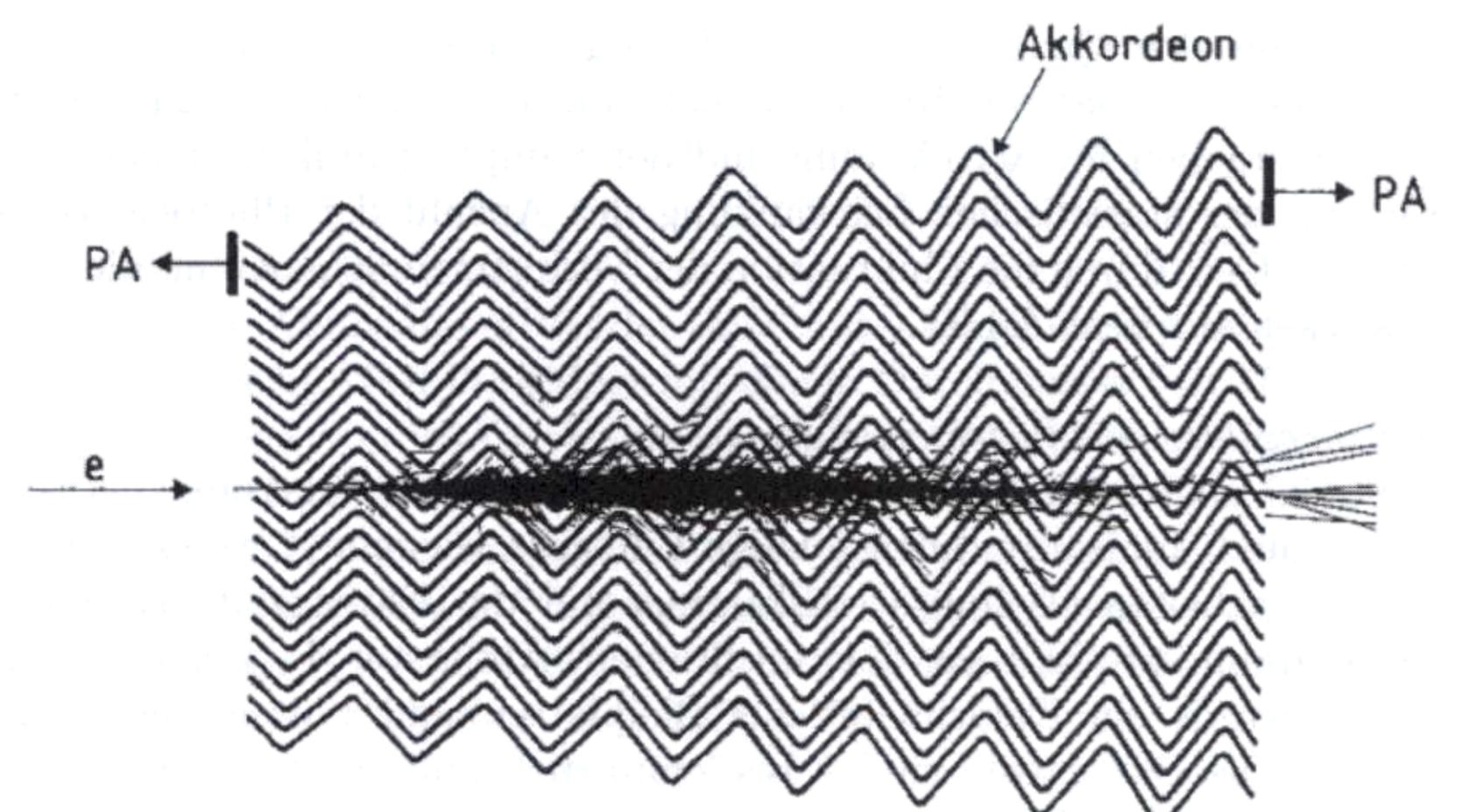
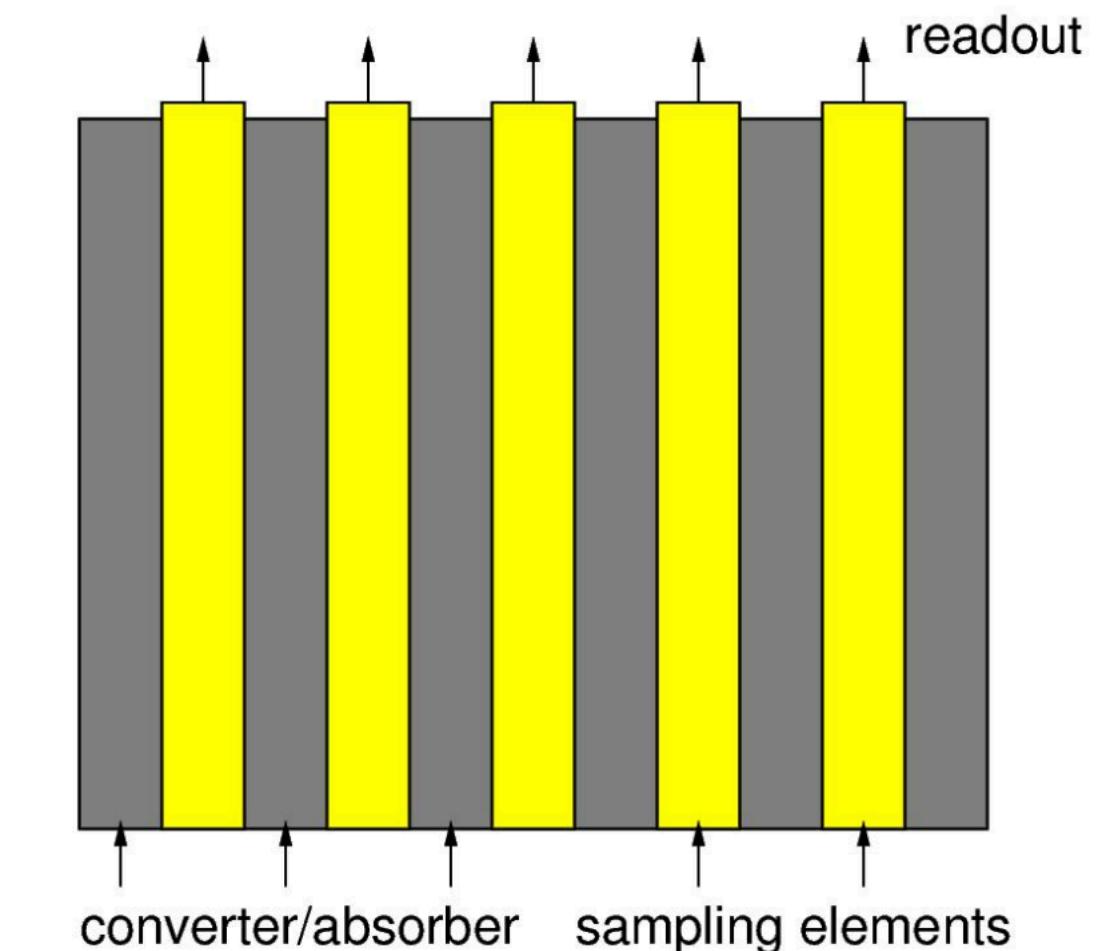


# Sampling calorimeter

- Combination of
  - dense converter material,  
e.g. Pb, W, U, Fe
  - convenient detection material,  
e.g. plastic scintillators, liquid argon, ...
- Properties
  - materials readily available  
→ cost effective and scalable
  - sampling fluctuations  
→ reduced energy resolution

Examples

- ATLAS LAr calo
- ALICE ECal  
(Pb + scintillator)



ATLAS LAr calorimeter:  
liquid Argon used for operation as ionisation chambers

Hadronic interactions  
→ hadronic showers

# Hadronic interactions

- Interaction of hadron with nucleon or nucleus ( $E > 1$  GeV)

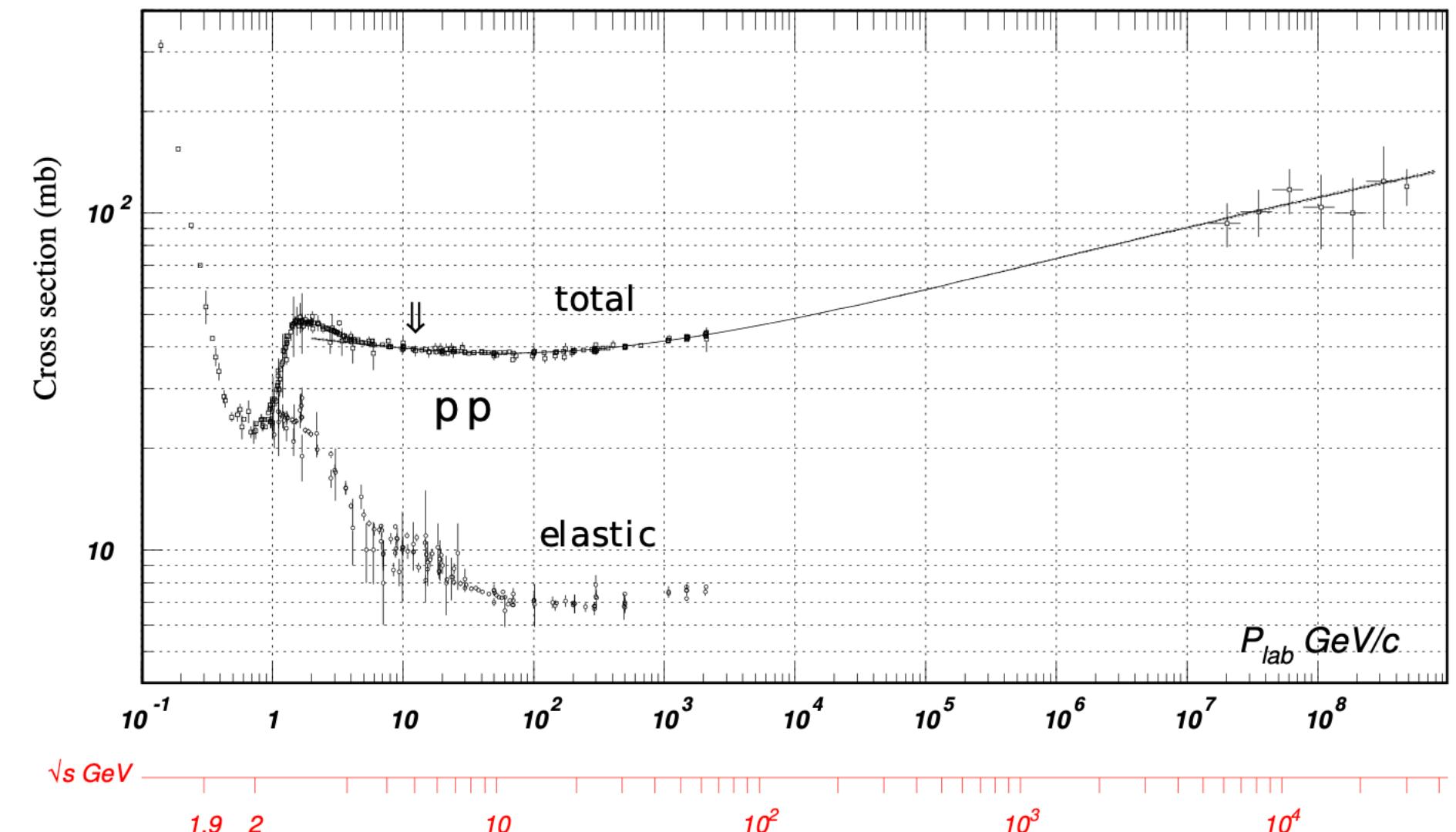
- elastic (about 10 mb)
- inelastic  $p + N \rightarrow X$  (dominant)

$$\sigma_{\text{tot}}(pA) \approx \sigma_{\text{tot}}(pp) \cdot A^{\frac{2}{3}}$$

- Hadronic interaction length

$$\lambda = \frac{A}{N_A \rho \sigma_{\text{inel}}} \propto 35 \cdot A^{\frac{1}{3}} (\text{g cm}^{-2})$$

for  $Z \geq 15$  and  $\sqrt{s} \approx 1 - 100$  GeV



material	$\lambda$ (cm)	$X_0$ (cm)
C	38.8	19.3
Ar (liq)	85.7	14.0
Fe	16.8	1.76
U	11.0	0.32
scintillator	79.5	42.4

hadronic interaction length much larger  
than elm. radiation length

# Hadronic shower

- Hadronic shower emerges from sequential inelastic scatterings
  - inelastic scatterings, e.g.  $p + N \rightarrow \pi^+ + \pi^- + \pi^0 + \dots + N^*$
  - further scatterings of secondary particles down to pion production threshold, NB: much higher than  $E_c$
  - sequential decays of produced particles
  - average number of secondary particles proportional to  $\log E$
  - about half the energy in production of secondaries (on average)
- Part of energy remains invisible (strong fluctuations)

# Hadronic calorimeters

- Much **more complex** than electromagnetic calorimeters
  - hadronic and electromagnetic components
  - fluctuating fraction of invisible energy
  - longer detectors needed
- Sampling calorimeter combining
  - passive absorber (Fe, Pb, U)
  - sampling elements (scintillators, ...)

Examples  
• CMS HCal

# Additional methods

very brief overview

# Muon detection

- **Unique signature**
  - electromagnetic interaction
  - no electromagnetic shower (because of mass)
  - no hadronic shower
- **Identification from**
  - behaviour in thick calorimeter
  - detection behind thick (hadron) absorber

## Examples

- muon chambers

# Unstable particles

- **Unstable particles incl. neutral ones, e.g.  $K^0$ ,  $\Lambda$ ,  $\Xi$ ,  $\Omega$ , ...**  
can often be detected through their decay products
  - identification of decay daughters
  - reconstruction of decay vertices
  - reconstruction of invariant mass

# Neutral particles

- No electromagnetic interaction  
→ exploit effects **converting energy from neutral particles to charged particles**
  - neutrons → hadronic shower
  - neutrinos → detection of products from weak interactions
  - dark matter → open search

# Detector R&D

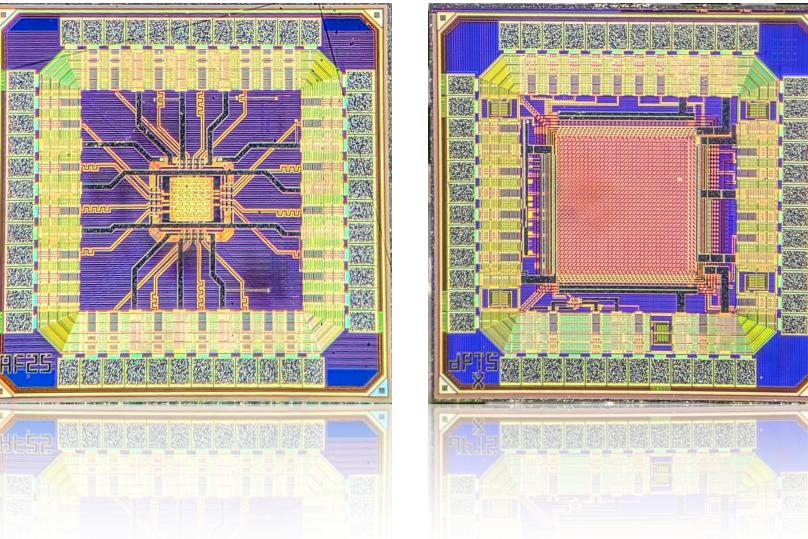
some examples

# Silicon pixel sensors

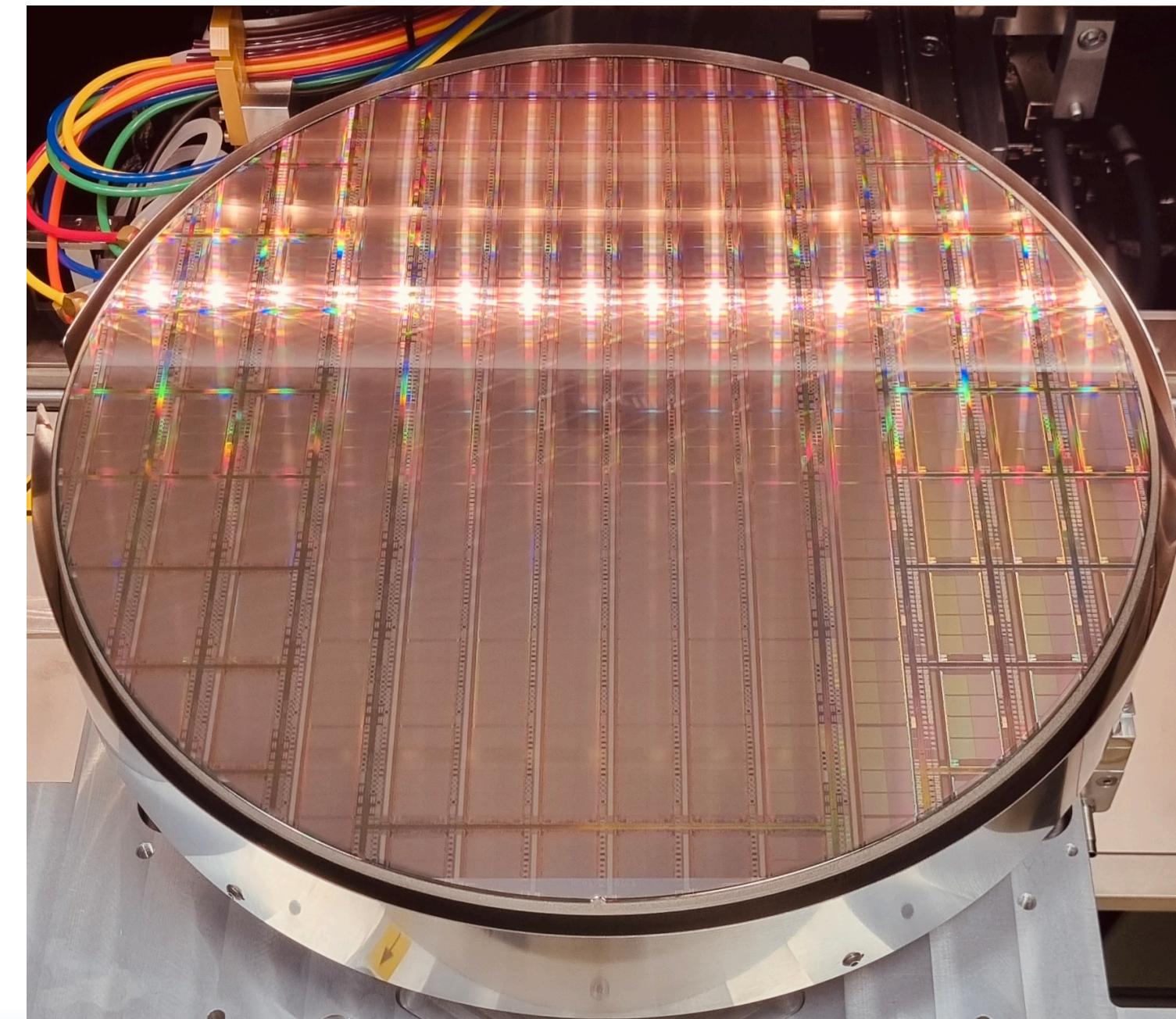
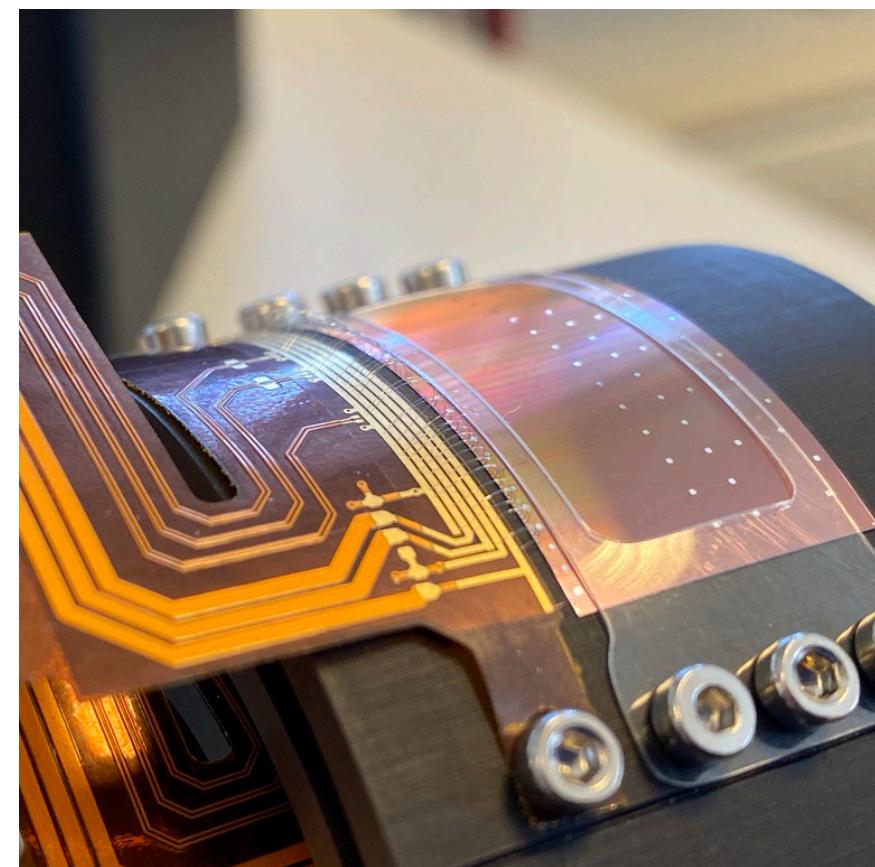
- **Established TPSCo 65 nm process for pixel sensors**  
(extensive R&D run with 55 different prototypes)
  - excellent performance, also after irradiation
- **Established bending of silicon sensors**
  - performance of ALPIDEs not affected at radii down to 1.8 cm
  - prototypes with wafer-scale silicon
- **Developing wafer-scale sensors**
  - stitching of repeated sensor unit
  - first wafers from engineering run received

Excellent progress with ITS3 R&D  
paving the way for ALICE 3

APTS

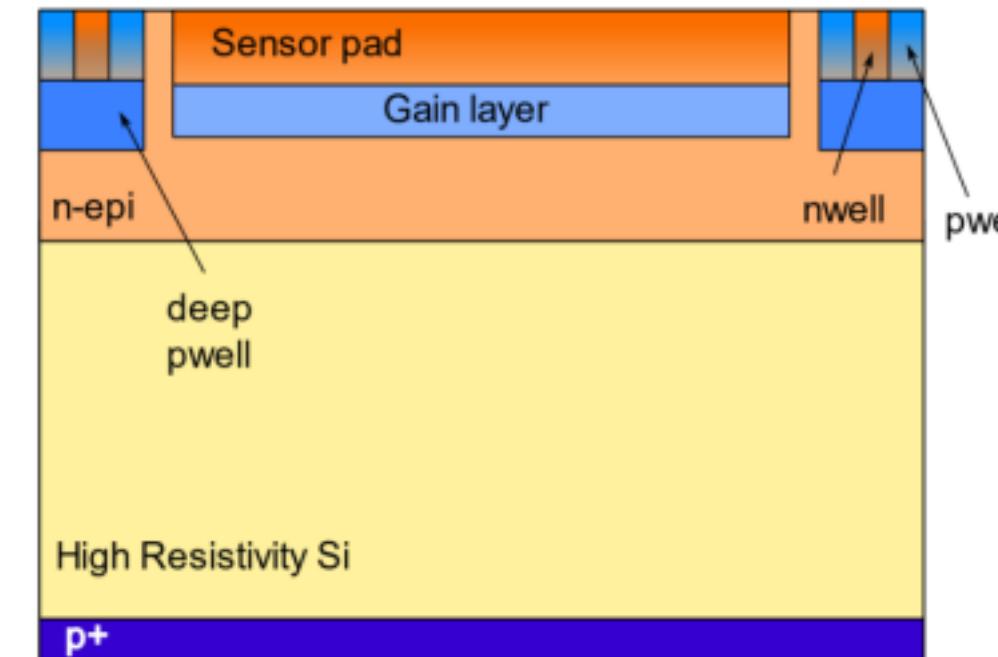


DPTS

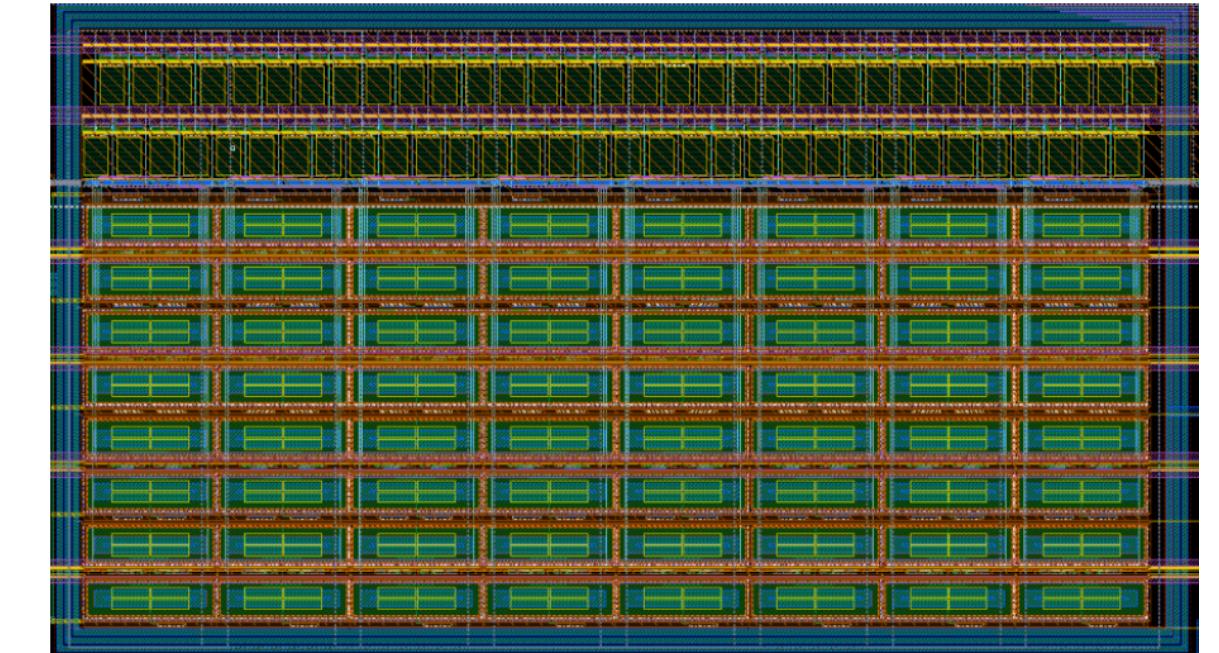


# Silicon timing sensors

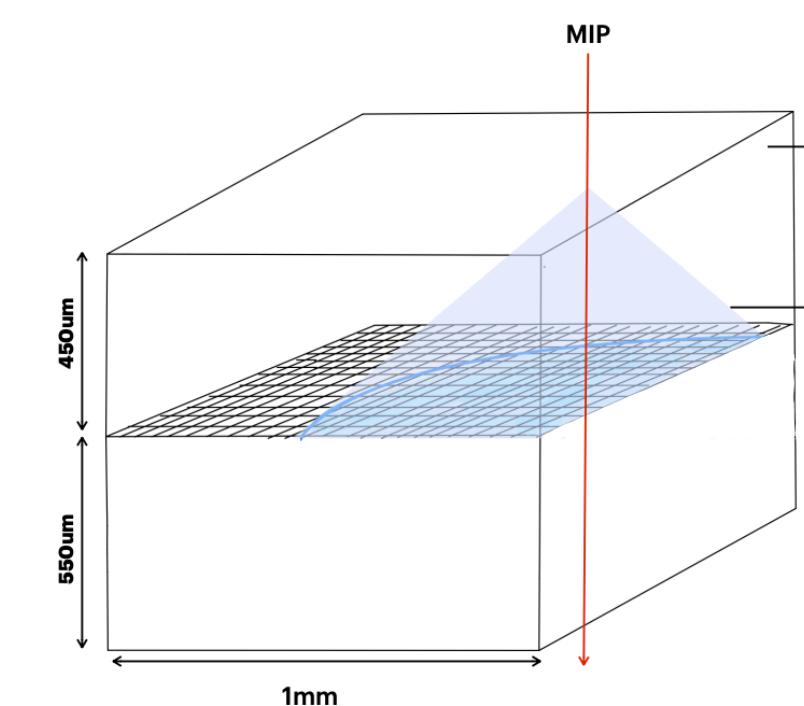
- Monolithic timing sensor
  - test gain layer in L-foundry process
- Beam test of SiPMs for charged particle detection
  - Cherenkov radiation, here in protection layer
  - multiple hits → improve time resolution



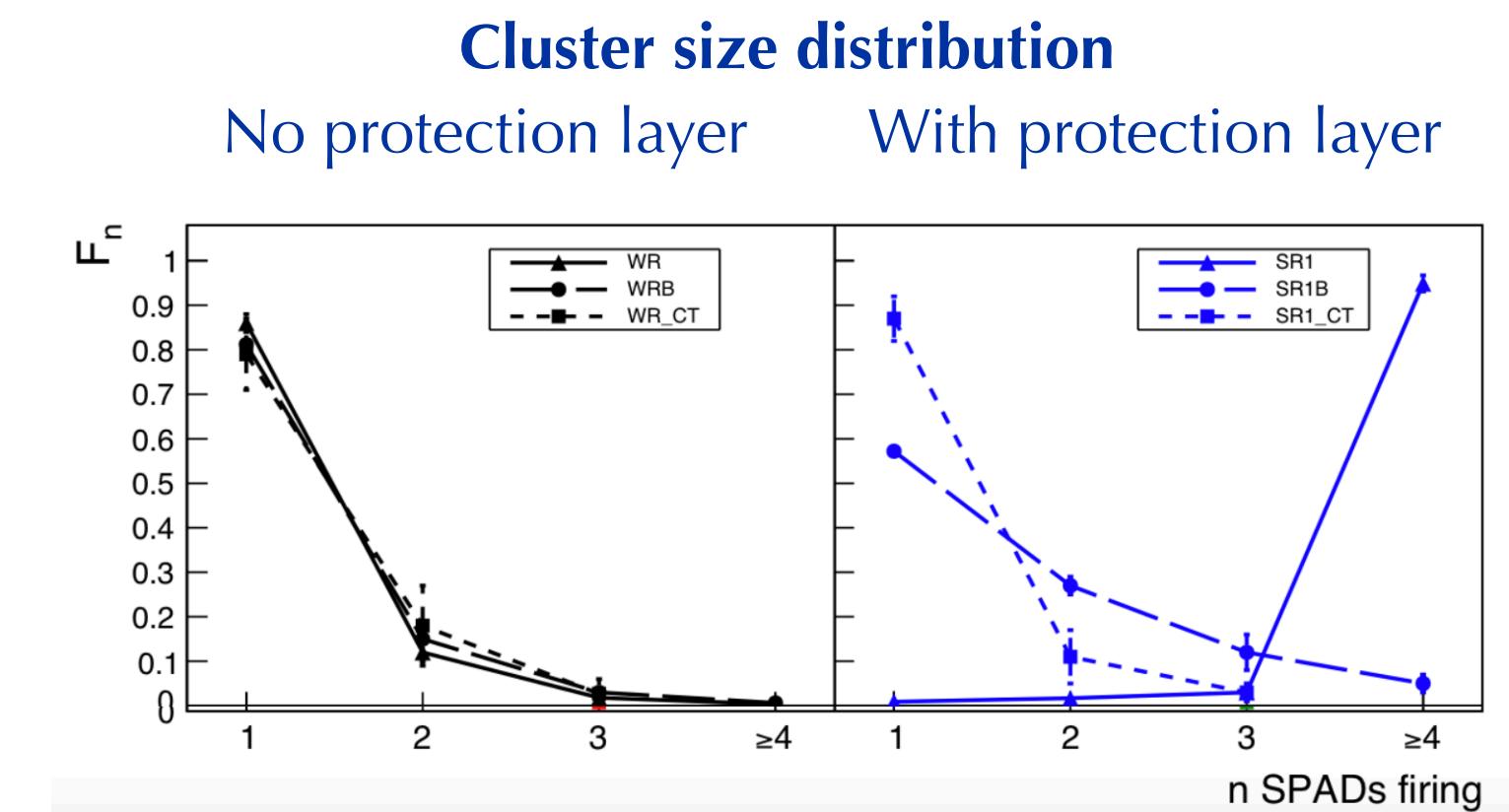
Demonstrator submitted  
to L-foundry



Delivered in  
January 2023



With protection layer, front-side beam  
shows large clusters



# Further R&D topics

- European Strategy and CERN committed to reducing the consumption of greenhouse gases in gaseous detectors, e.g. SF<sub>6</sub>, C<sub>2</sub>H<sub>2</sub>F<sub>4</sub>, CF<sub>4</sub>
  - consolidation of gas systems and minimisation of losses
  - R&D towards alternative gases ongoing
- Advances in 3d printing allow production of detector components, e.g. for
  - precise production of metal **absorber for electromagnetic calorimeters**, incl. holes for wave-length shifting fibres
  - production of **scintillators** in (almost) arbitrary shapes

# Experiments

# ATLAS phase II upgrades

## LAr calorimeter

- **Segmented super-cells:** shower-shape discrimination at trigger level

## High-granularity timing detector

- Based on LGADs
- PID with  $\sigma_{TOF} \approx 35$  ps
- Baseline trigger for HI

## Trigger and DAQ

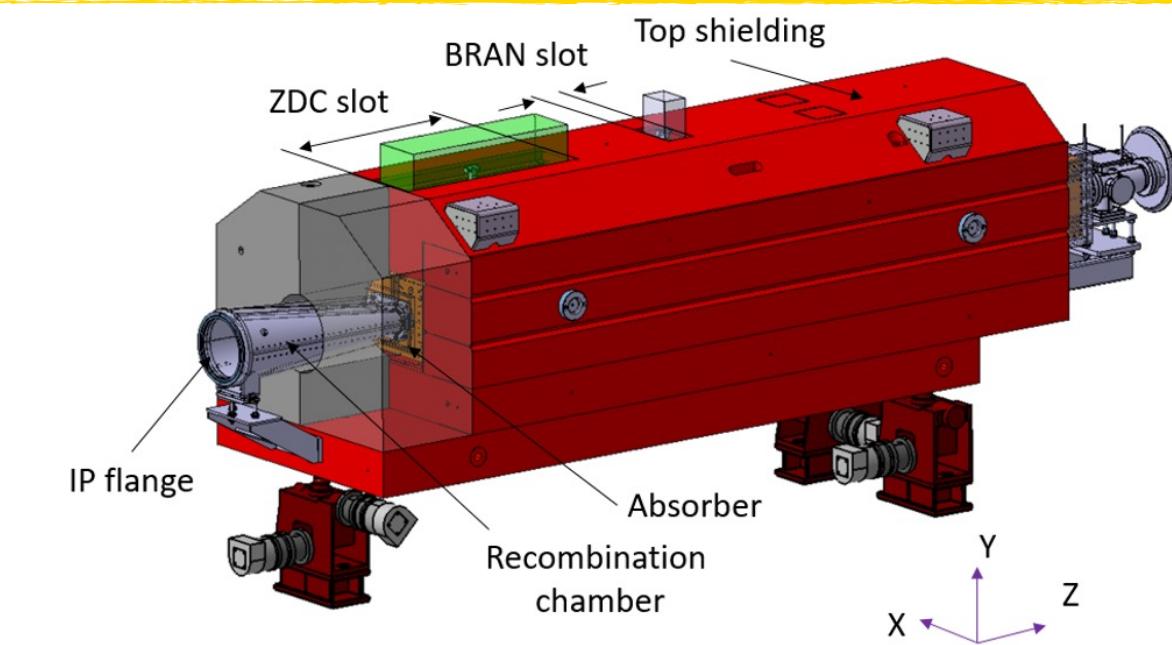
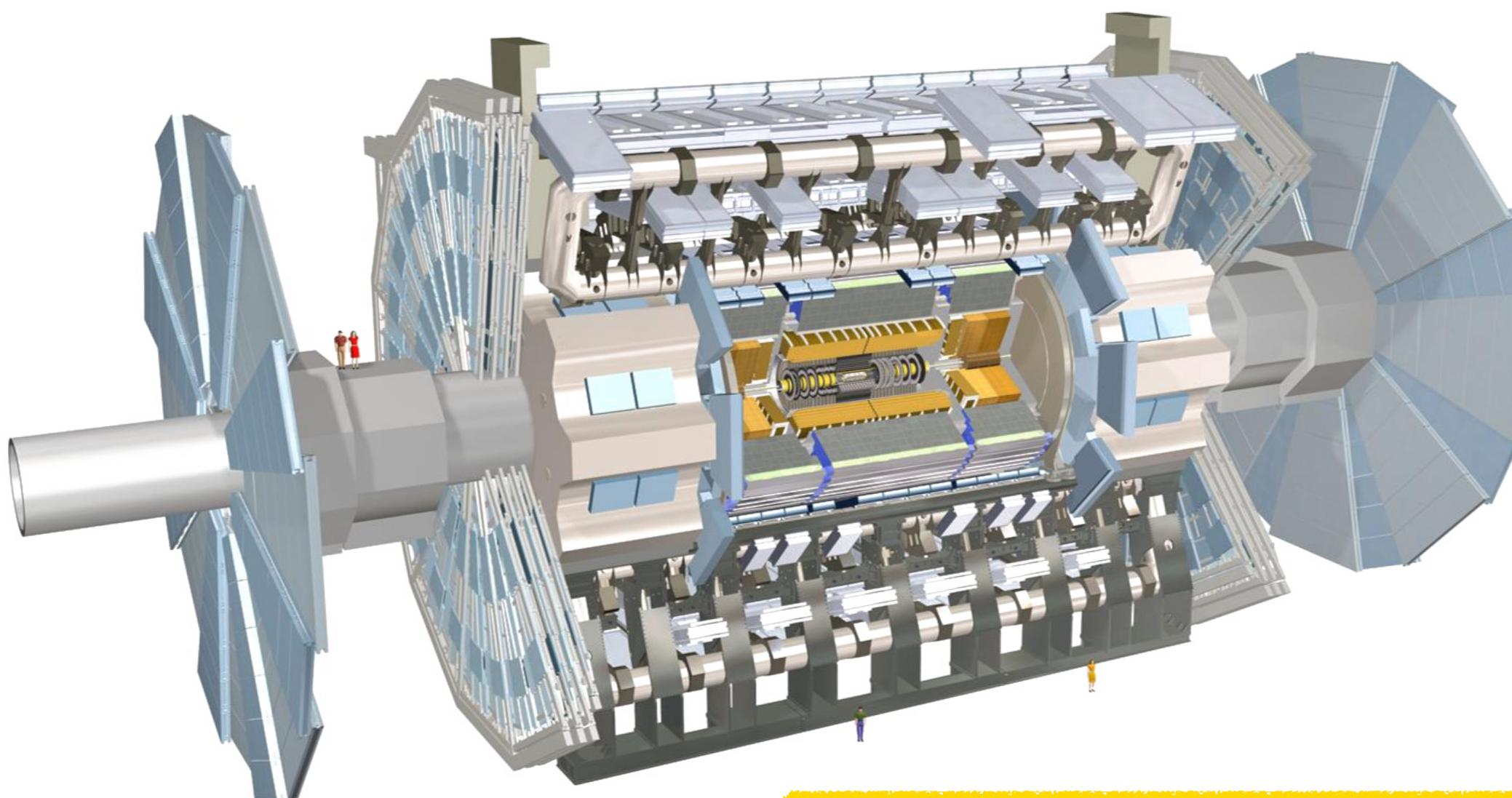
- L1 and HLT improvements
- Further upgrades

## Electronics upgrades

### Luminosity detectors

## HL-ZDC

- JZCaP (jointly with CMS)
- adapt to new optics
- increase radiation hardness
- Reaction plane detector



## New Inner Tracker (ITk)

- hybrid silicon pixel and strip sensors
- coverage up to  $|\eta| < 4$

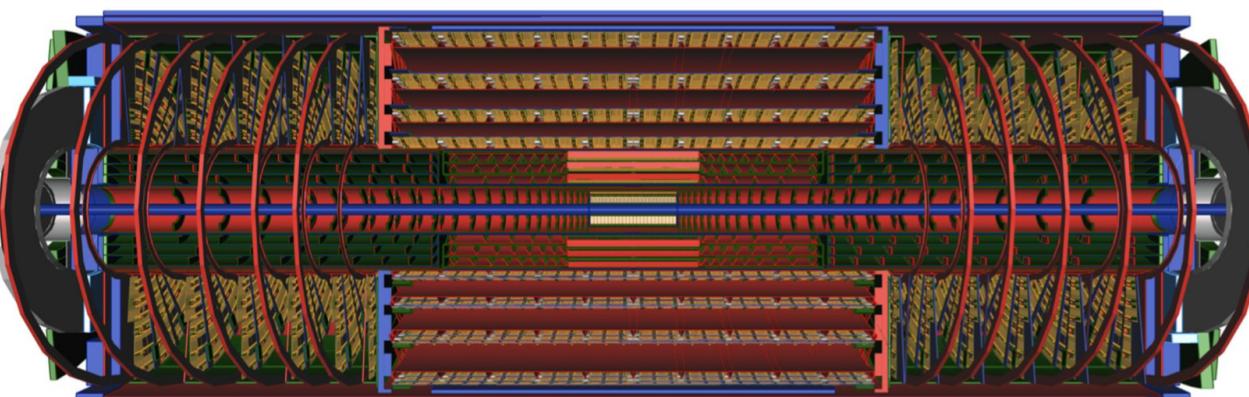
## Muon system

- New Small Wheels installed  
→ sTGC + MicroMegas
- New muon chambers

→ Extend tracker acceptance to  $|\eta| < 4$

→ Time-of-flight PID  $2.5 < |\eta| < 4$

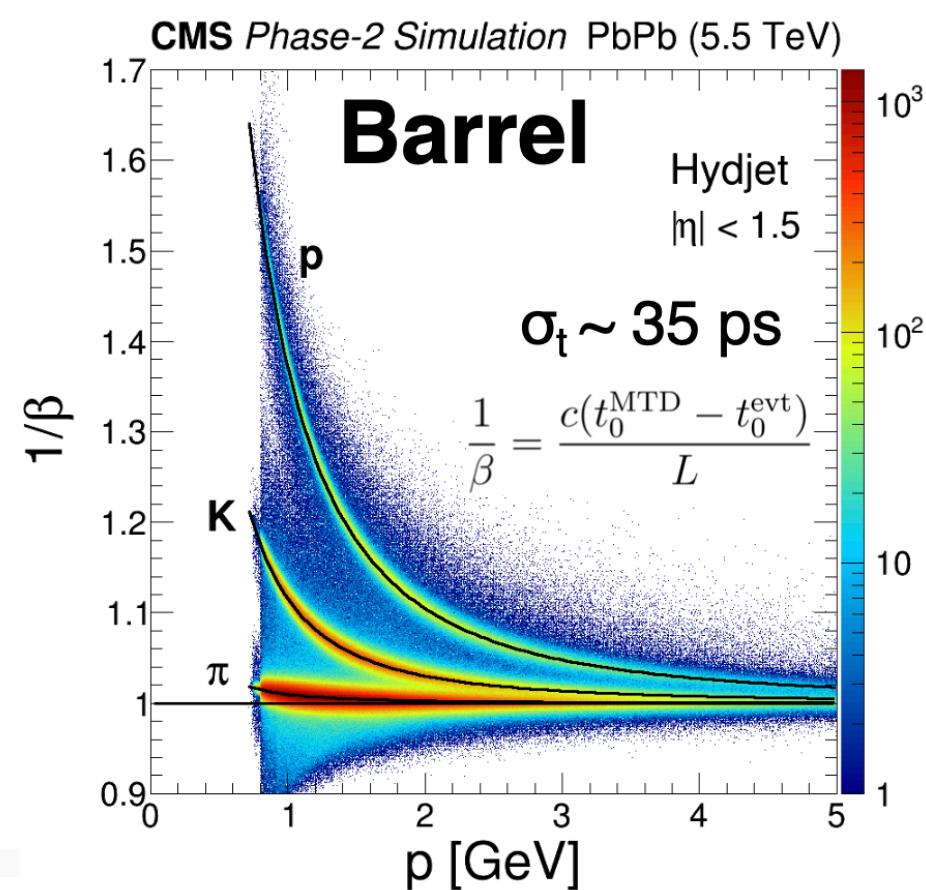
→ Endcap calorimeters with higher granularity



# CMS phase II upgrades

## MIP timing detector

- barrel: LYSO + SiPMs
- endcaps: LGADs
- $\sigma_{\text{TOF}} \approx 30 \text{ ps}$



## Tracker

- inner: hybrid silicon pixels
- outer: hybrid silicon pixels + strips

## HCal

- HPD → SiPMs

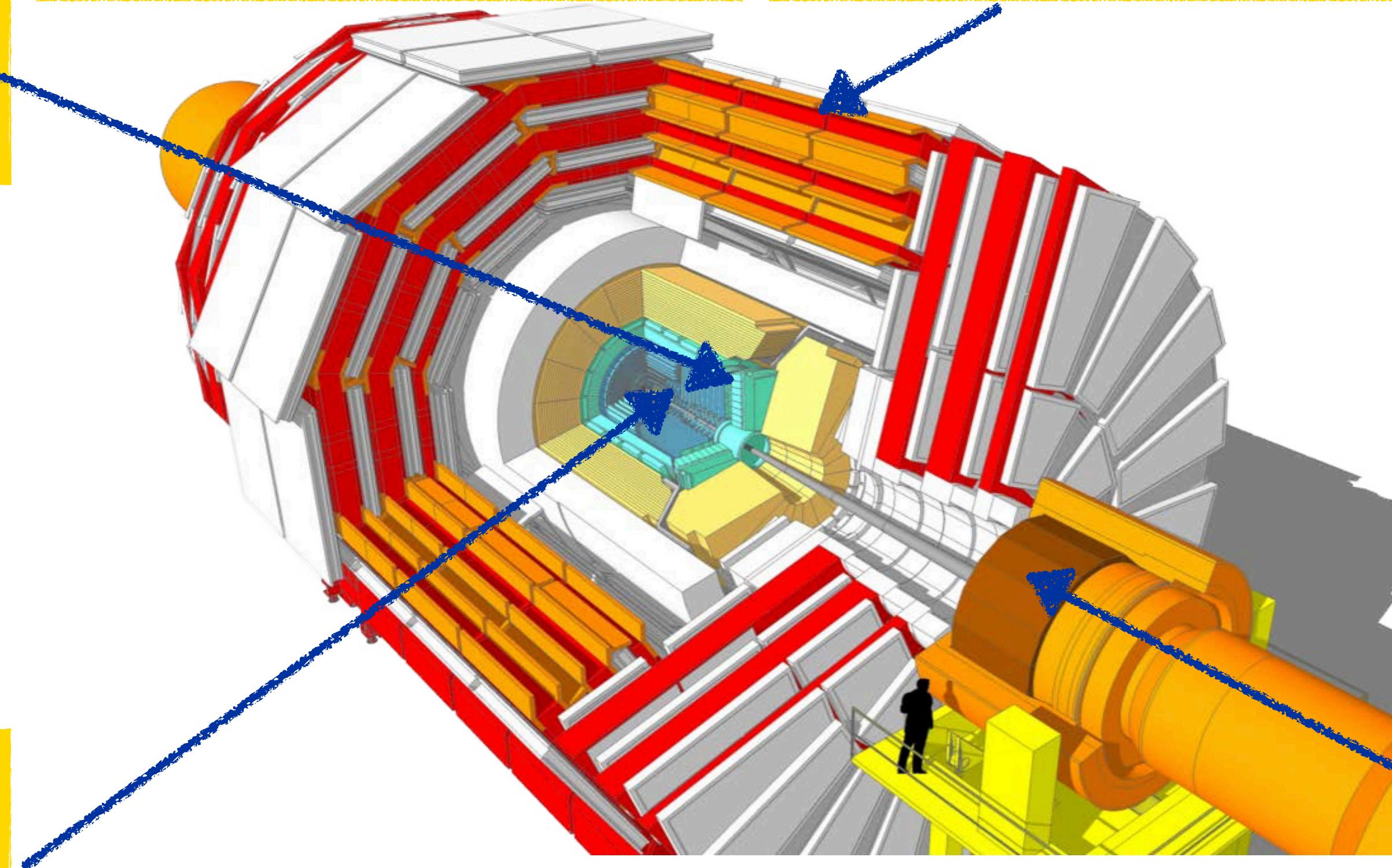
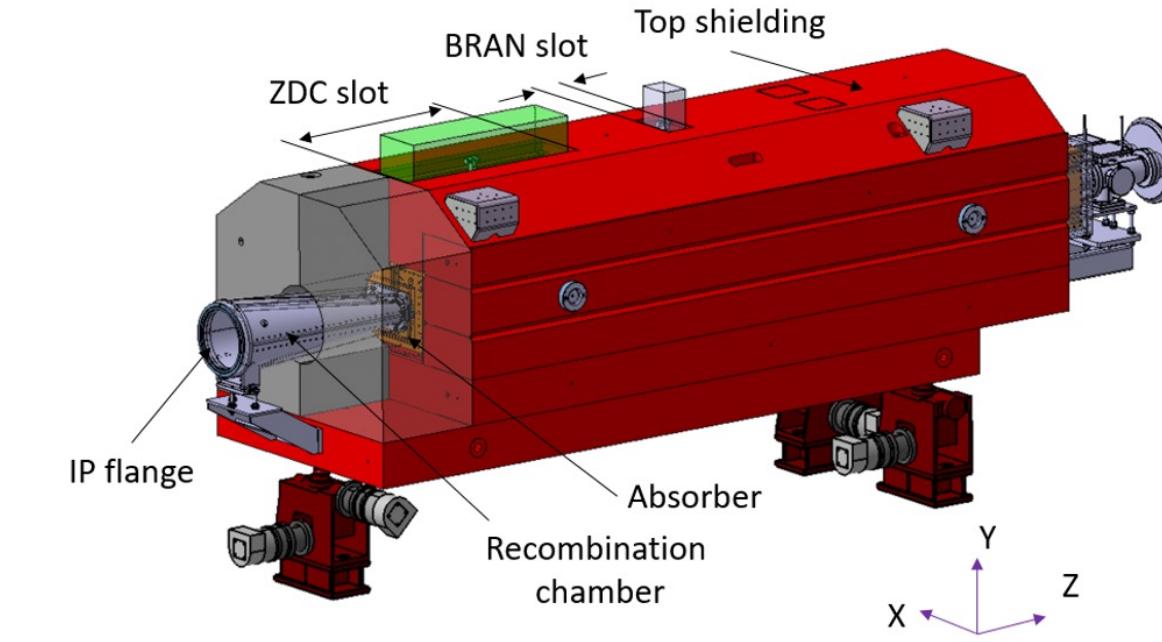
## L1 trigger, HLT, DAQ

## Luminosity detectors

## New readout for muon system

## HL-ZDC

- JZCaP (jointly with CMS)
- adapt to new optics
- increase radiation hardness
- Reaction plane detector



- ➡ Charged particle tracking up to  $|\eta| < 4$ , muons up to  $|\eta| < 3$
- ➡ Time-of-flight PID up to  $|\eta| < 3$
- ➡ High-precision vertexing
- ➡ Wide coverage calorimetry

## Endcap calorimeter

- High-granular ECal + HCal  
→ 4d showers ( $\sigma_t \approx 20 \text{ ps}$ )

## Forward muon system

- All GEM chambers
- new frontend electronics for CSC endcaps

# LHCb Upgrade II

## RICH

- RICH1 and RICH2
- precision timing

## TORCH

- Time-of-flight wall
- precision timing

## Run 5 infrastructure

- engineering, mechanical support, shielding

## Muon stations

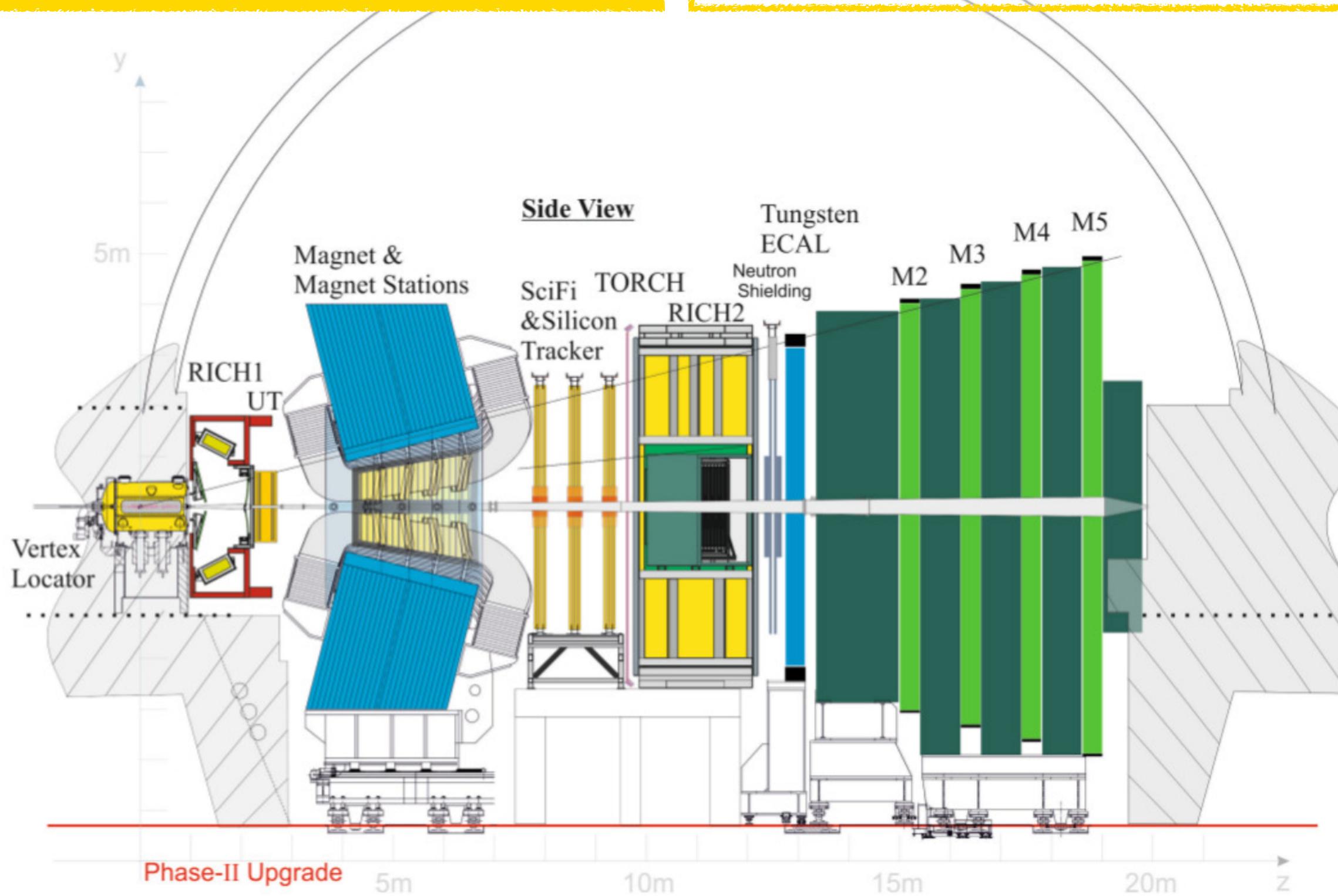
- M2 - M5
- additional shielding (instead of HCal)

## Vertex Locator

- new VELO
- precision timing

## Fixed target

- possible extension with polarised gas target, solid target



→ No centrality limitation for AA

→ Excellent vertexing capabilities

## Tracking

- new Upstream Tracker (timing)
- Mighty Tracker (SciFi + silicon)
- Magnet stations (possibly)  
→  $p_T$  below 5 GeV/c

## Calorimeters

- SPACAL or Shashlik
- precision timing

# ALICE 3 upgrade

## Vertex detector

- Retractable detector  
 $R_{in} \approx 5$  mm
- Wafer-scale monolithic CMOS sensors

## Tracker

- Monolithic CMOS sensors

## Superconducting magnet system

## Elm. calorimeter

- PbWO<sub>4</sub> in central region
- Pb/Sci for large acceptance

## Time-of-flight detector

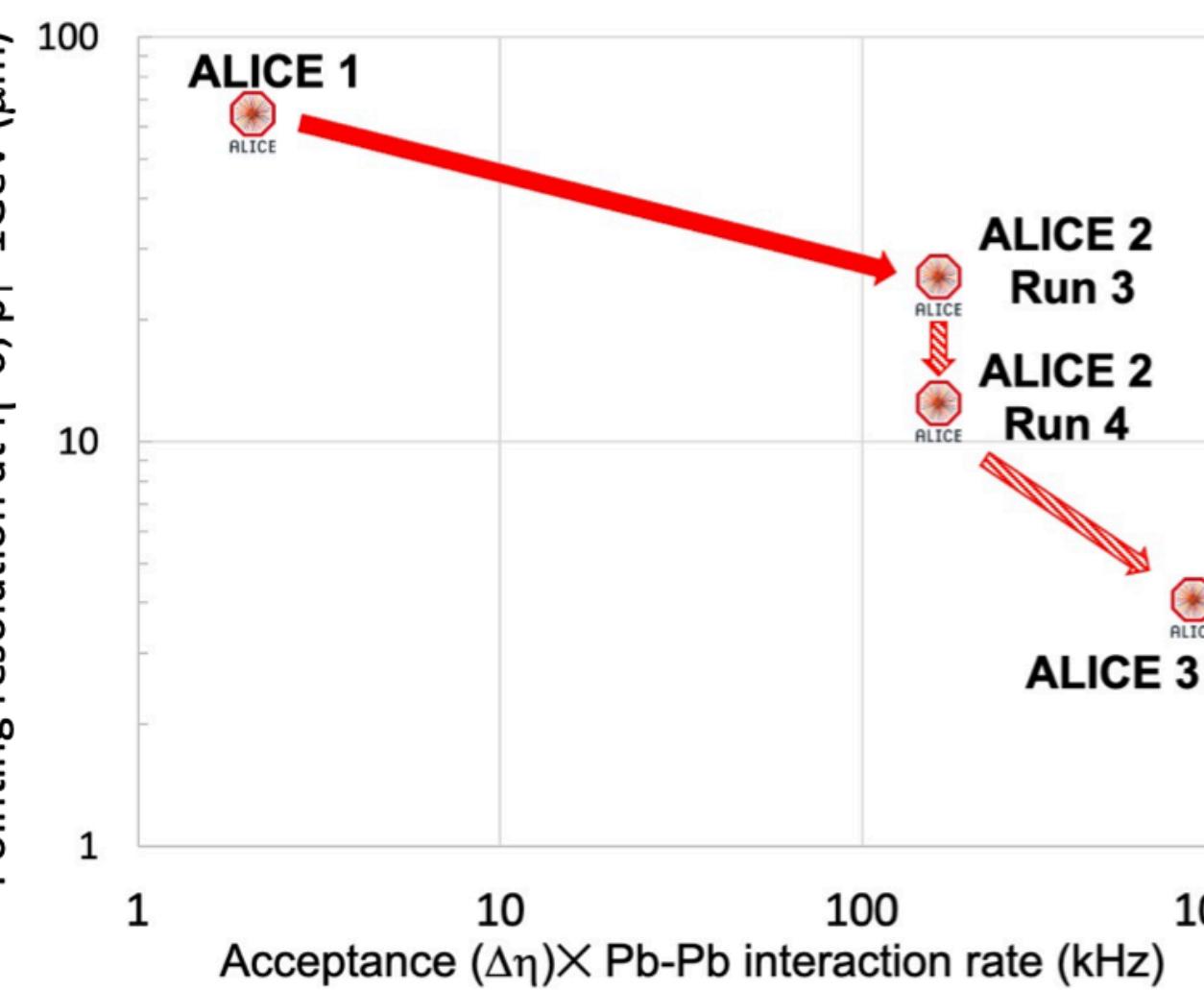
- monolithic CMOS sensors with gain layer

## Ring-imaging Cherenkov detector

- Aerogel radiator
- SiPM read-out

## Muon ID

- Iron absorber
- Scintillating bars, WLS, SiPM



## Forward Conversion Tracker

- Tracking disks (MAPS)

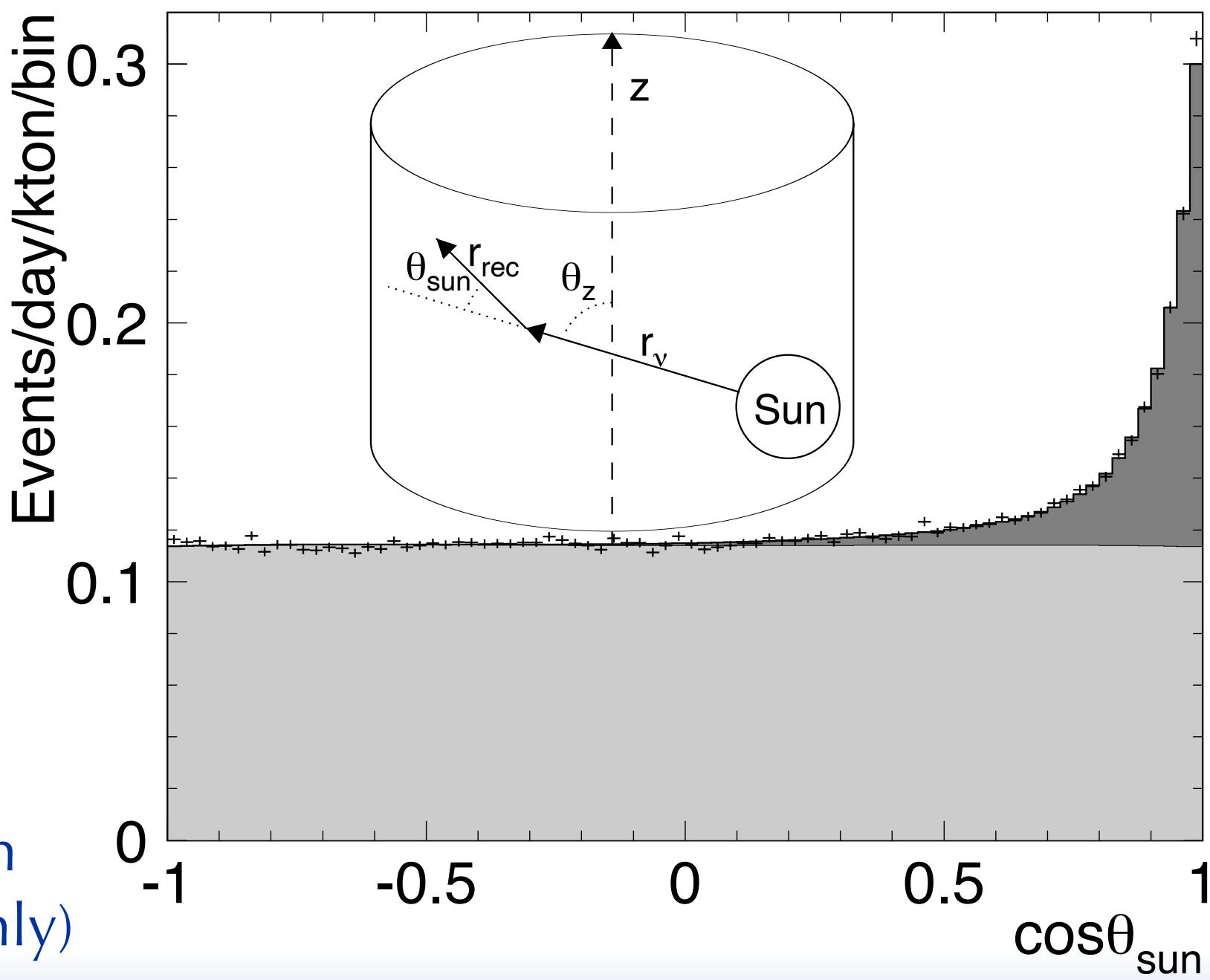
- ⇒ Tracking and PID over large acceptance
- ⇒ Excellent vertexing
- ⇒ Continuous readout

# (Super-)Kamiokande

Kamioka Nucleon Decay Experiment

- **Physics goals**
  - proton decay
  - solar neutrinos ( $\text{ne O(MeV)}$ )
  - neutrinos from super-novae
- **Detector concept**
  - 50 million litre water tank,  
1.6 km under ground
  - neutrino detection through Cherenkov radiation  
 $e$  and  $\mu$  (bkg) distinguishable through ring sharpness

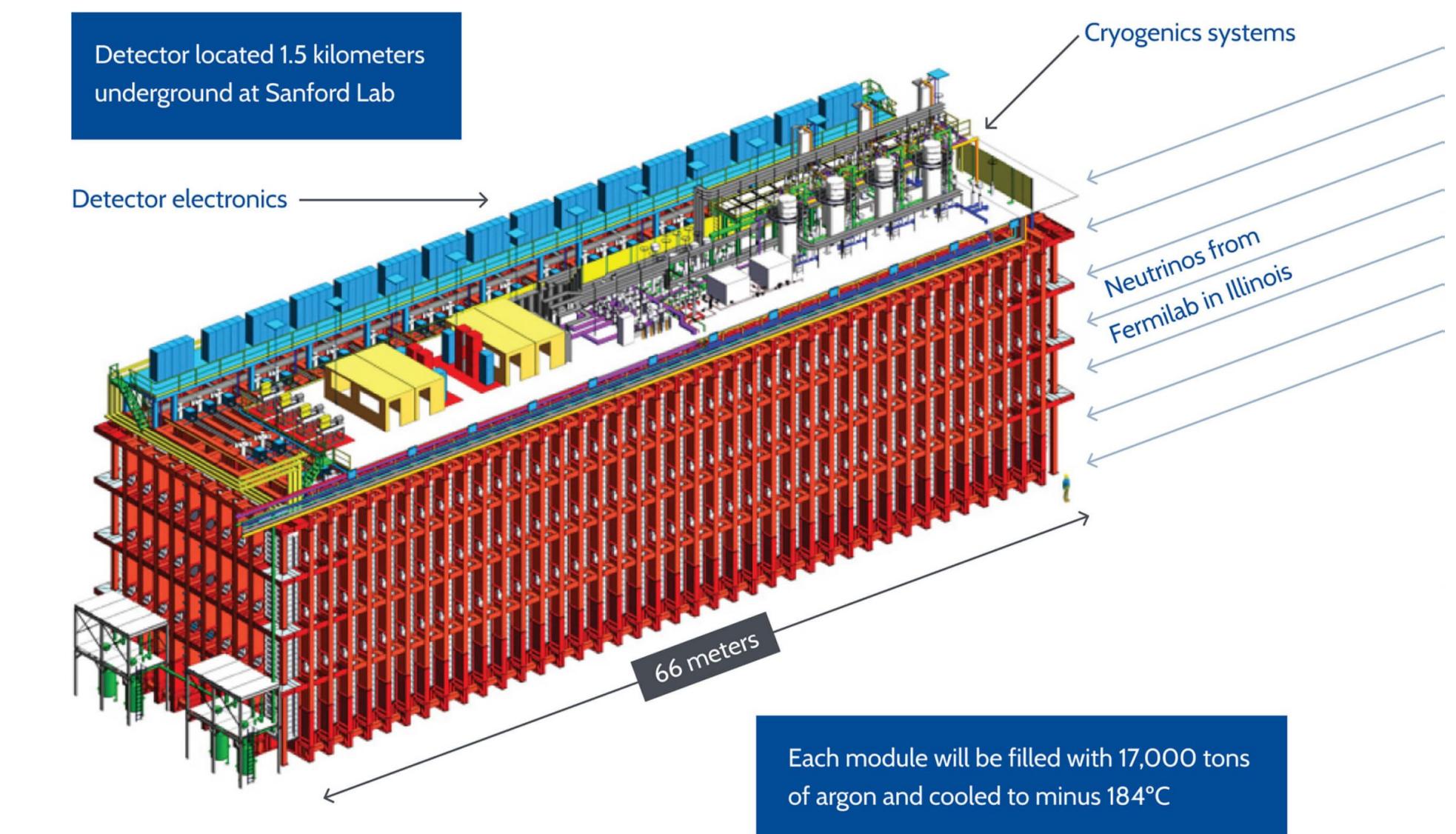
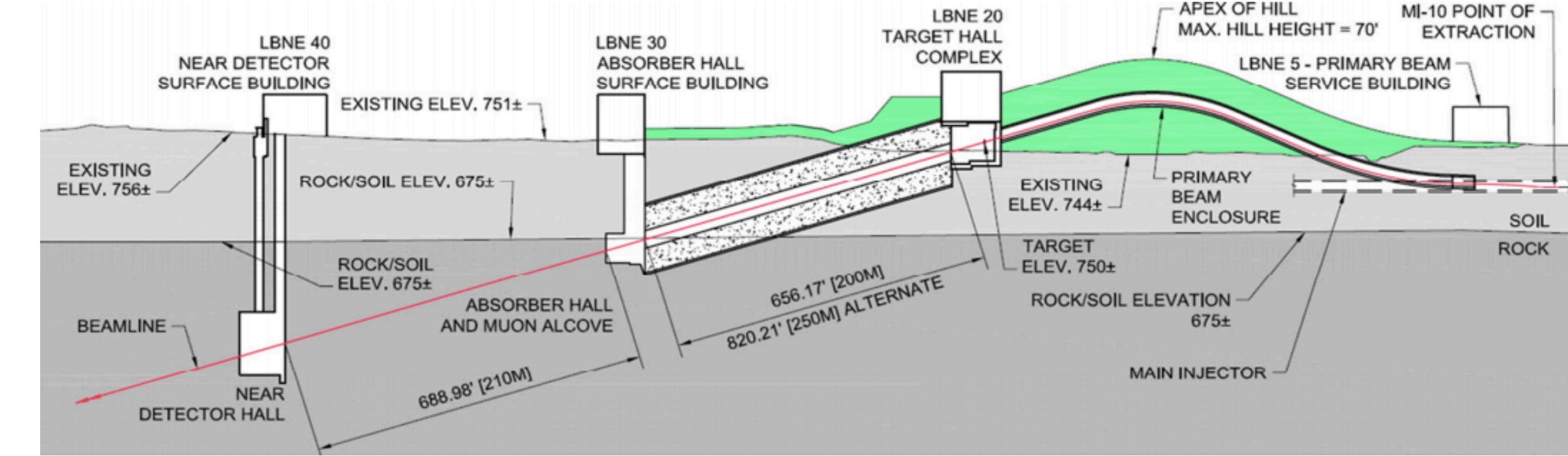
$\nu + e \rightarrow \nu + e$  (elastic scattering) with contributions from NC and CC ( $\nu_e$  only)



# DUNE

Deep Underground Neutrino Experiment

- Physics goals
  - neutrino oscillations
  - determination of mass hierarchy
  - super-novae
  - proton decay
- Detector concept
  - LArTPC (70 kt in 4 modules)  
incl. photon detection system
  - R&D: wavelength shifting through Xe doping



# Summary

- Particle detectors remain at the core of fundamental research
- Many interesting developments in R&D programmes
- Applications in major upgrade programmes and new experiments

**Thank you  
for your attention!**

# References & further reading

- **PDG reviews**  
concise treatments of particle interaction in matter and particle detectors
- **Leo: Techniques for Nuclear and Particle Physics Experiments**  
a bit dated but a good reference
- **Kolanoski, Wermes: Particle Detectors**  
recent overview of particle detector
- **Riegler: CERN summer student lectures on Particle Detectors**  
more detailed lectures
- **Stachel: Lectures on Particle detectors**  
university course