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Elliptic Flow and Jet Quenching at RHIC

Ghi R. Shin

Andong National University

gshin@andong.ac.kr

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1. INTRODUCTION

Recent Conclusion of 1st RUNS at RHIC
(STAR, PHENIX, BRAHMS, PHOBOS):

**STRONGLY INTERACTING QGP
of PERFECT FLUID:**

- 1) Elliptic Flow can be explained by
HYDRODYNAMICS.
- 2) Awayside **JET QUENCHING.**
- 3) and so on

- **JUST MENTION:**

- Hydrodynamics can be applicable if

- Momentum Isotropic** (P Arnold, J Lenaghan, GD Moore and LG Yaffe, [nucl-th/0409068](#))

- Is the Boltzmann equation(Kinetic theory) valid? **Maybe YES**. A. Mueller and DT Son showed that the dense classical field theory is equivalent to the Boltzmann equation([hep-th/0212198](#)).

2. OVERVIEW of the TALK

1. Basic Algorithm of PARTON CASCADE CODE
2. INITIAL PHASE SPACE
3. SOME RESULTS
4. CONCLUSIONS

3. PCC

- **PCC:**
 - 1) Suppose we have N-particles.
 - 2) Let them evolve classically (but relativistically)
 - 3) Calculate the closest distance among the evolving particles just like QED.
 - 4) $r_d < r_{\text{sigma}}$: Collision
 $r_d > r_{\text{sigma}}$: NO collision
 - 5) Sort all the collisions to make the initial collision list.
 - 6) Let the particles on the list collide one by one and pick up new particles and momenta.
 - 7) calculate r_d for the new particle
 - 8) Update the collision list.
 - 9) Go to the step 6 until the final time.

4. INITIAL PHASE-SPACE

- Most important stuff of Kinetic theory is **INITIAL PHASE SPACE DISTRIBUTION!!!**
- Many kinds of IPS on the market.
 - 1) Factorization method:
 - 2) CGC Shattering method:

Factorization:

- Pros:
- 1) will be good at LHC
 - 2) include quarks, antiquarks
 - 3) give reliable jets

- Cons:
- 1) no soft partons
 - 2) No good at RHIC

CGC Shattering:

- pros:
- 1) can get soft partons
 - 2) Good at RHIC

- cons:
- 1) no quarks and antiquarks
 - 2) seems to produce too many JETS

Factorization Method:

- The PARTON DISTRIBUTION of HIGH ENERGY Au:

$$f_{i/A}(x, Q^2) = f_{i/N}(x, Q^2) R_A(x, Q^2),$$

x : Bjorken Variable

Q : Transverse momentum,

N : Nucleon

i : Parton

$f_{i/N}$: The distribution of i-parton, GRV98 Function

R_A : Nucleon distribution of Nucleus A,

EKS98 Ratio Function

- Combine the distribution functions with (elastic) parton-parton cross section to get the primary partons:

$$\frac{dN^{jet}(\vec{b})}{dp_T dy} = K T(\vec{b}) \int dy_2 \frac{2\pi p_T}{\hat{s}} \sum_{ij,kl} x_1 f_{i/A}(x_1, Q^2) x_2 f_{j/A}(x_2, Q^2) \frac{1}{2} \sigma_{ij \rightarrow kl}(\hat{s}, \hat{t}, \hat{u})$$

b : impact parameter,

K : K-factor to include higher order,

$T(b)$: Overlap function,

$$T(\vec{b}) = \int d\vec{s} T_A(\vec{s}) T_B(\vec{b} - \vec{s})$$

T_A : Thickness function of the nucleus A.

- Note that the space-time are missing here!!

■ Numbers of Produced Partons After Relativistic Heavy Ion Collisions(200 AGeV Au, $Q_0 = 1.2$ GeV)

b(fm)	Gluons	Quarks	Antiquarks	Total
0	3731	585	134	4450
1	3583	561	128	4272
2	3269	512	117	3898
3	2865	449	102	3416
4	2415	378	86	2879
5	1952	306	70	2328
6	1503	235	53	1791
7	1088	170	39	1297
8	727	114	26	867
9	433	67	15	515
10	215	33	7	255
11	75	11	2	88
12	10	1	0	11

CGC Shattering Method:

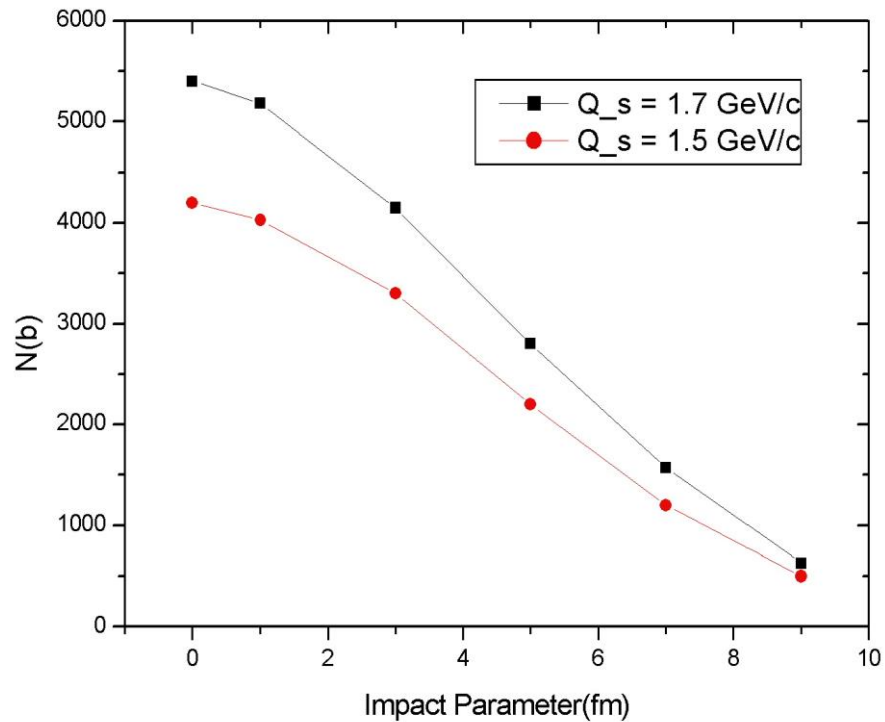
- Krasnitz, Nara and Venugopalan(KNV), Phys. Lett. B 554, 21 (2003); Nucl. Phys. A 717, 268 (2003).
- Lappi, Phys. Rev. C 67, 054903.

$$\frac{dN}{dyd^2k_T} = \frac{\pi R^2}{g^2} f(k_T/\Lambda_s)$$

$$f = \frac{1}{g^2} \begin{cases} a_1 [\exp(\sqrt{k_t^2 + m^2}/T_{eff}) - 1]^{-1}, k_t/\Lambda_s < 1.5 \\ a_2 \Lambda_s^4 \log(4\pi k_t/\Lambda_s) k_t^{-4}, k_t/\Lambda_s > 1.5 \end{cases}$$

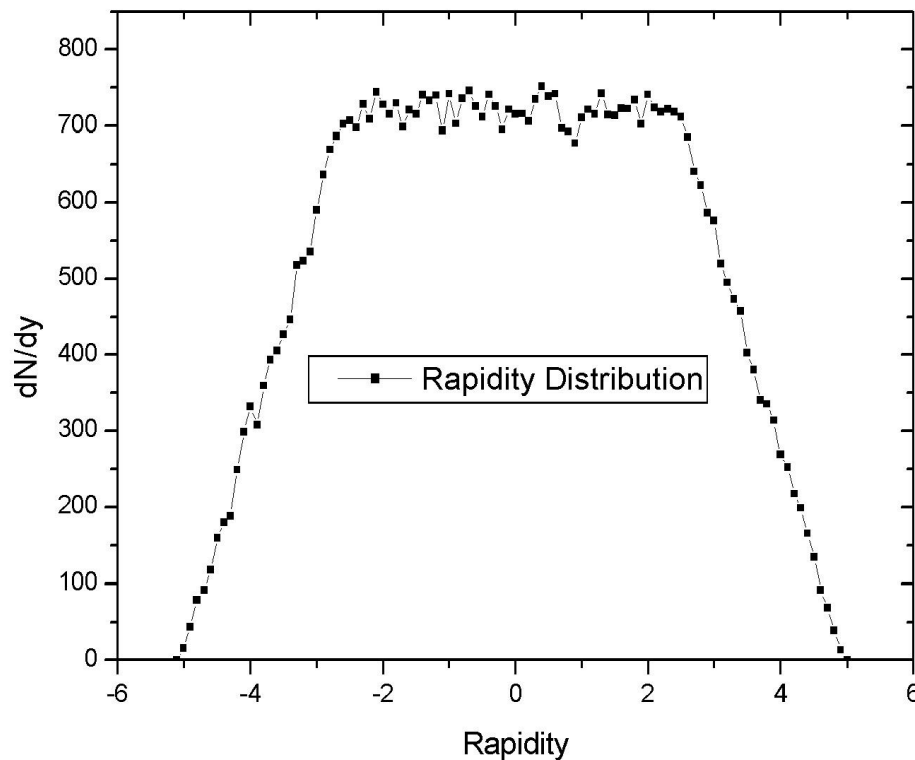
$$a_1 = 0.137, a_2 = 0.0087, m = 0.0358\Lambda_s, T_{eff} = 0.465\Lambda_s$$

- **Number of Partons:**



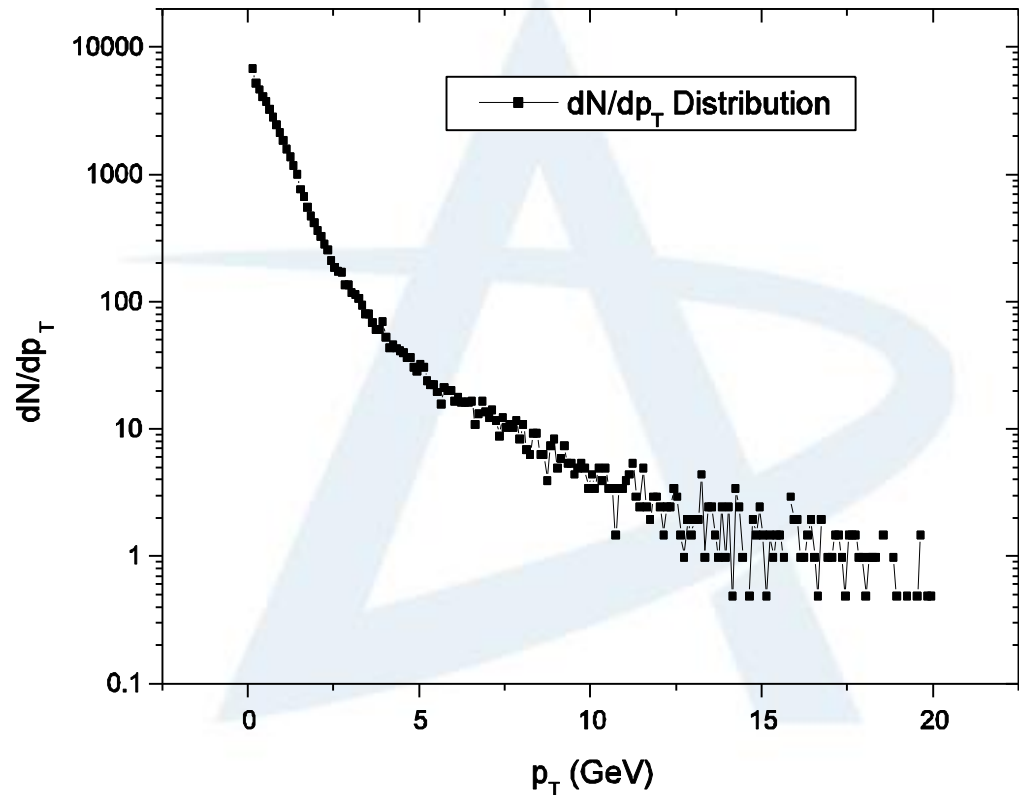
<Number of Partons produced:>

- **Initial rapidity distribution:**



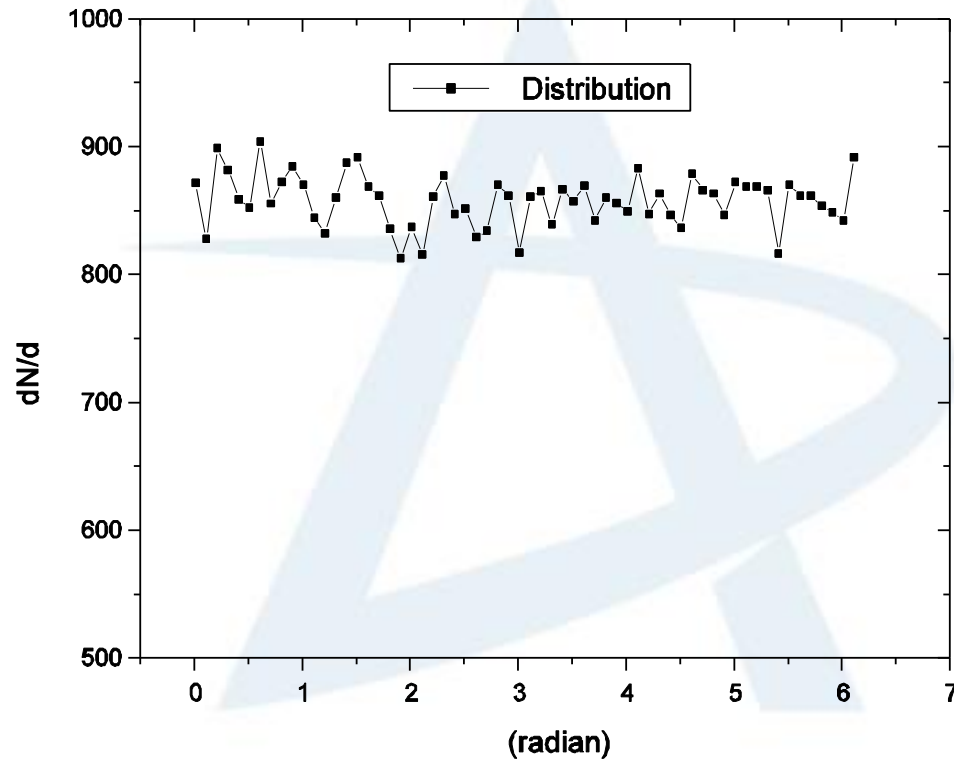
<Initial rapidity distribution of CGC:
 $b=0\text{fm}$ >

- **Transverse momentum distribution:**

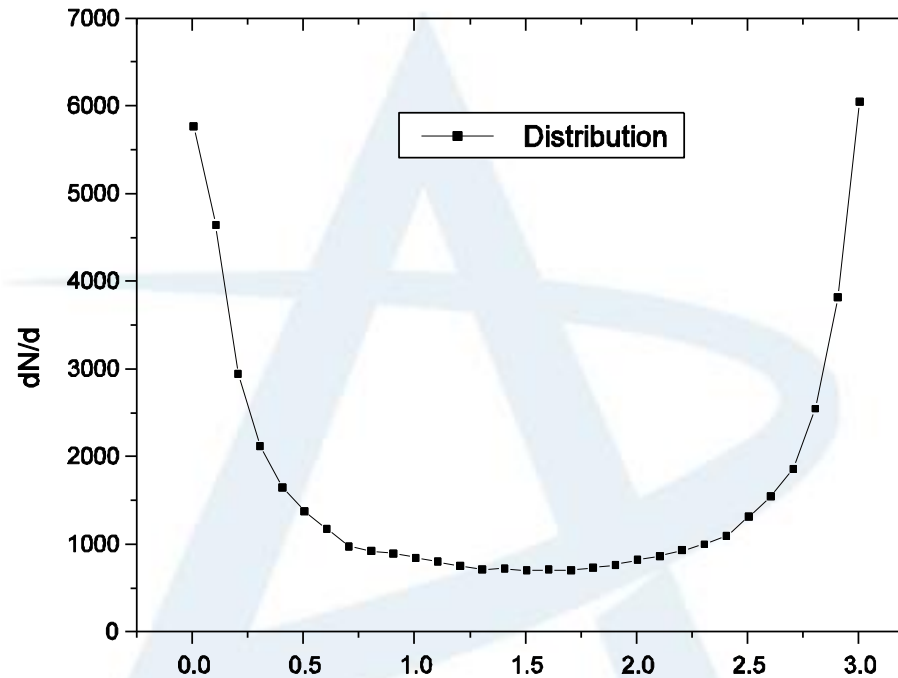


<Transverse momentum: $b=0\text{fm}$ >

- Azimuthal distribution:



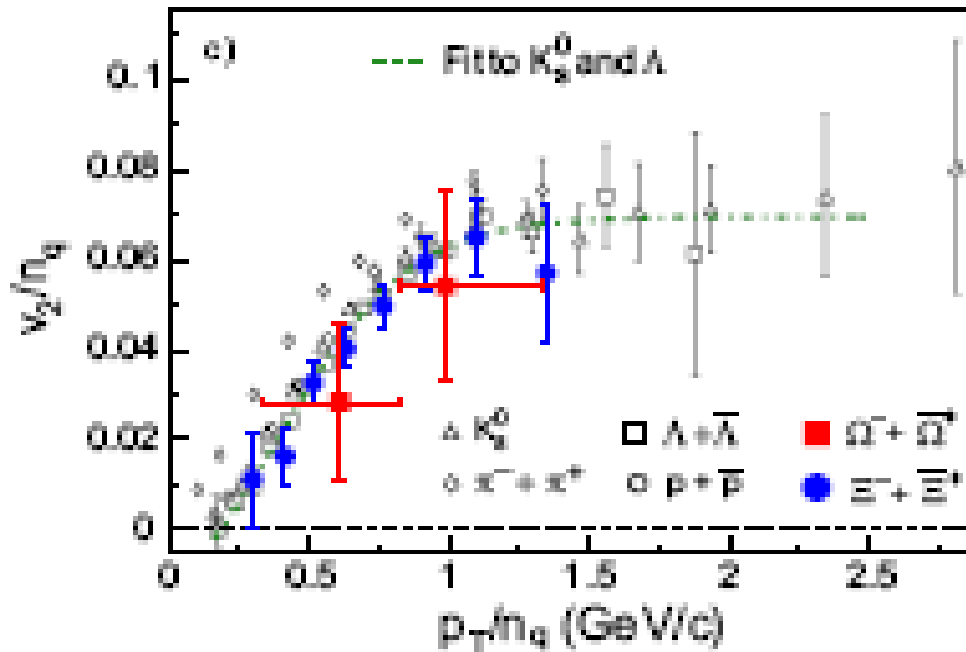
- **Polar angle distribution:**



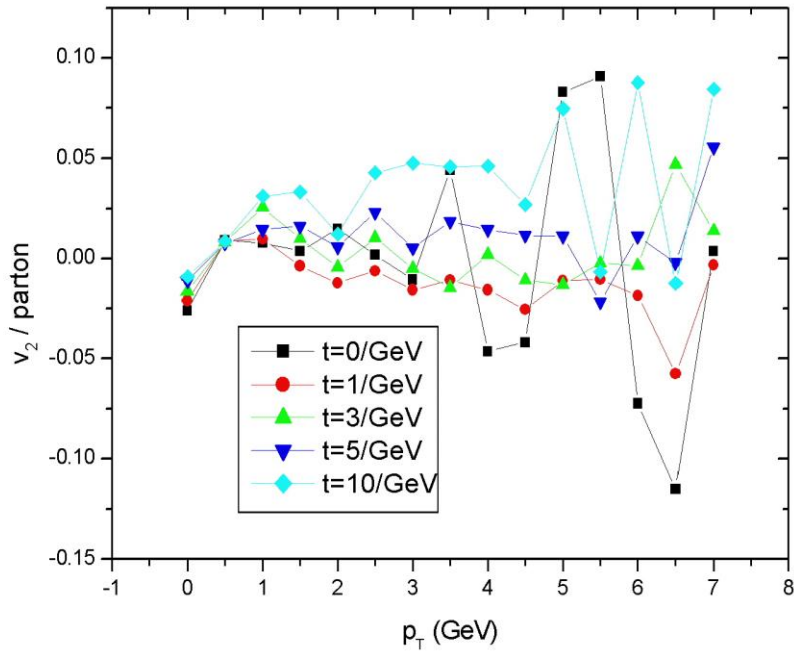
**<Can see the strong orientation to collision axis:
 $b=0\text{fm}$ >**

5. RESULTS

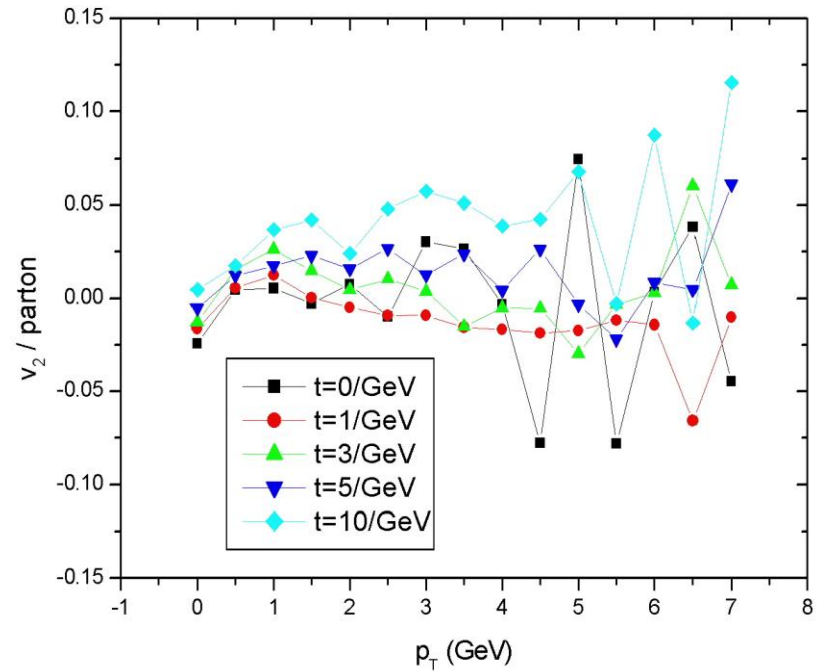
- Elliptic Flow:



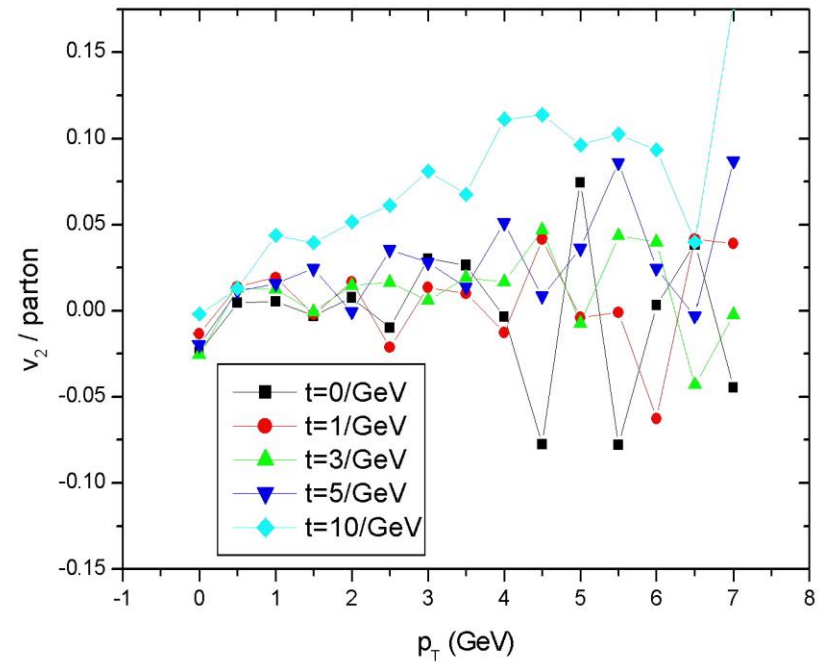
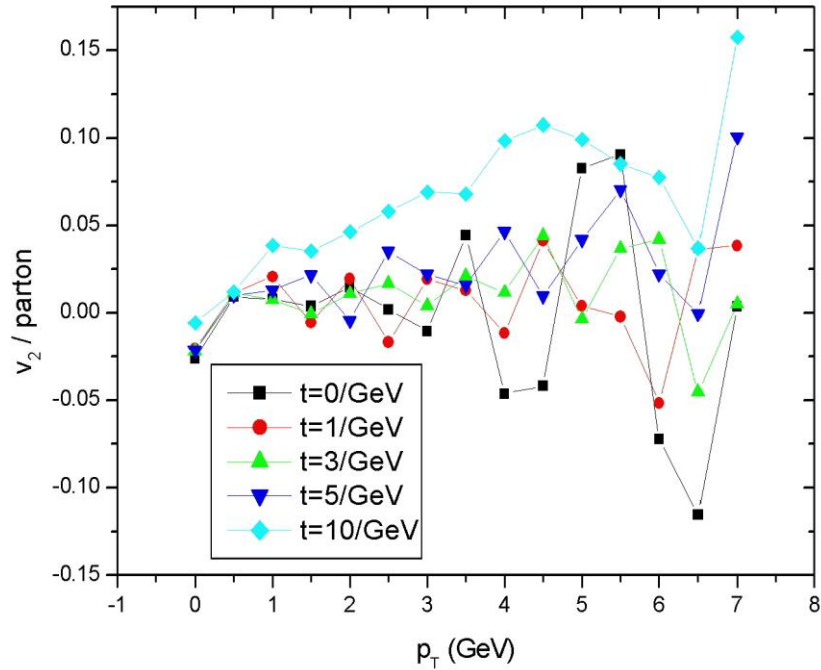
<from STAR:0501009>



$\langle b=7\text{fm}, K=2, \text{LPM, all } y \rangle$



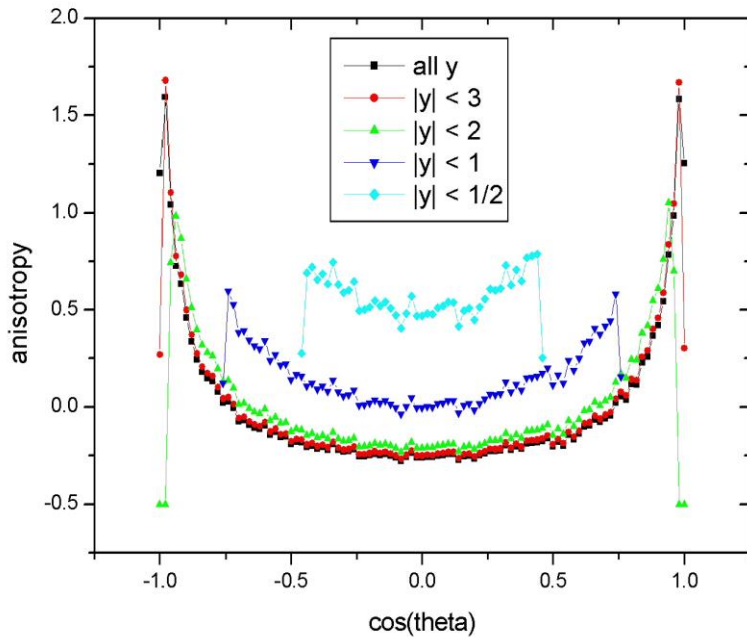
$\langle b=7\text{fm}, K=2, \text{LPM, } |y| < 2 \rangle$



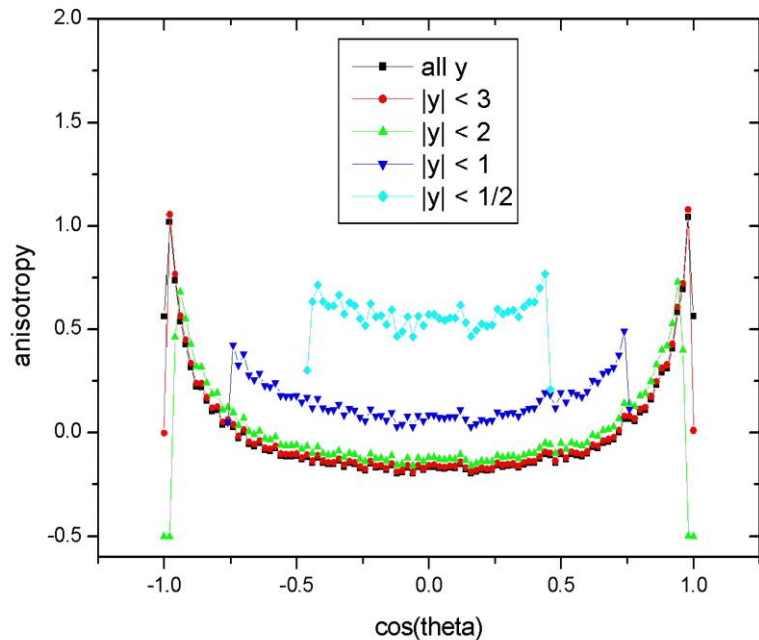
$\langle b=7\text{fm}, K=4, \text{LPM}, \text{all } y \rangle$

$\langle b=7\text{fm}, K=4, \text{LPM}, |y| < 2 \rangle$

- **Polar Anisotropy:** $n(\theta, \phi) = \frac{1}{N_T} \frac{dN}{d\Omega} - \frac{1}{2}$

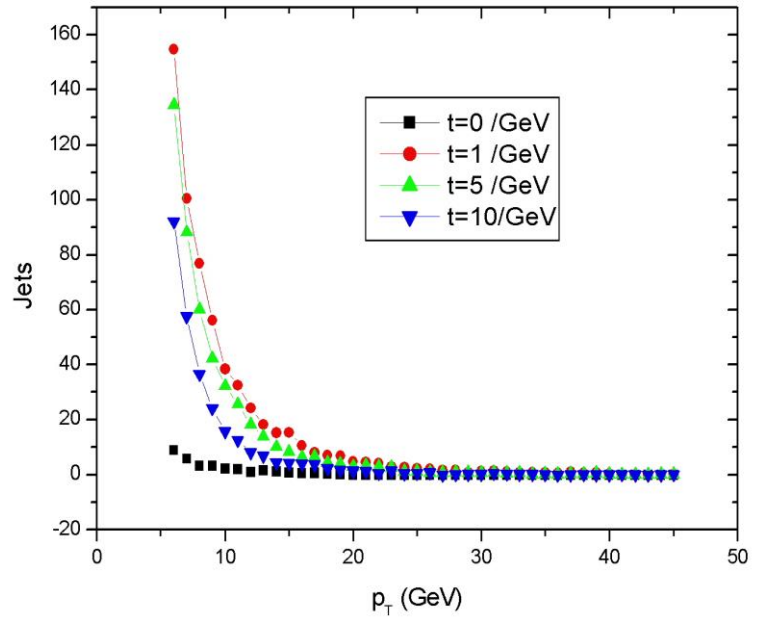
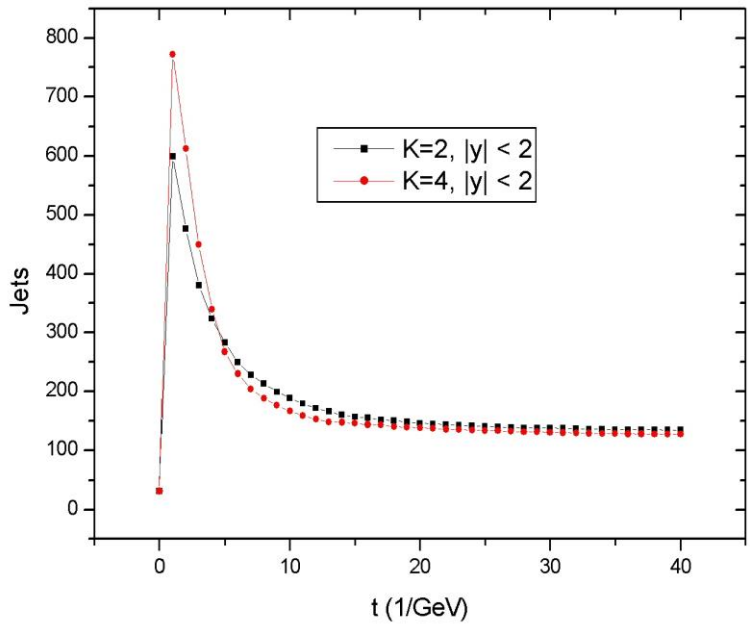


< b=0fm, K=2, LPM, t=3fm/c >



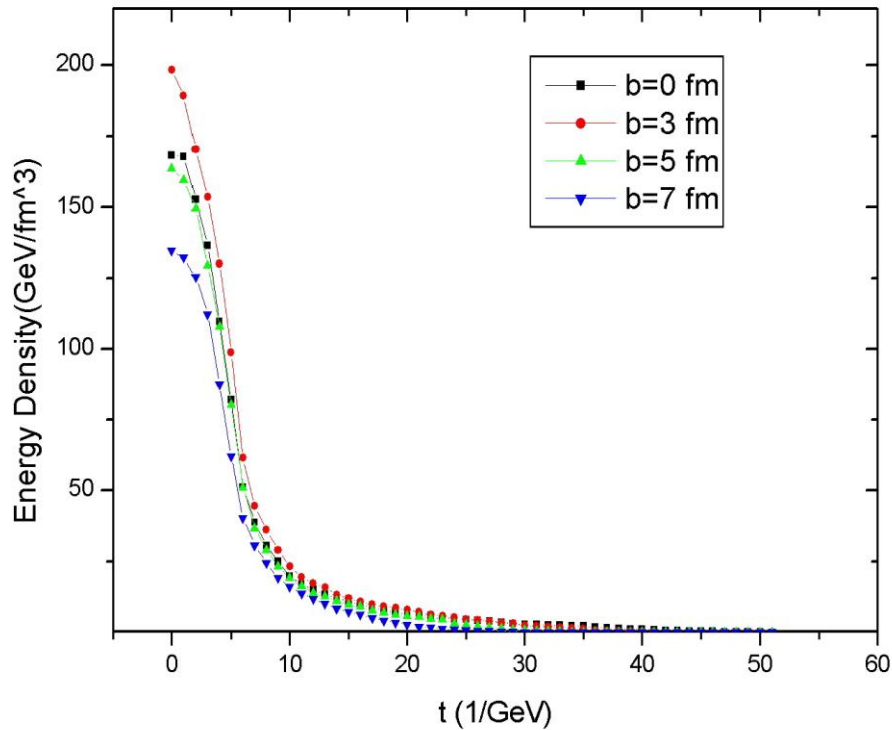
< b=0fm, K=4, LPM, t=3fm/c >

- **Number of JET and transverse distribution:**



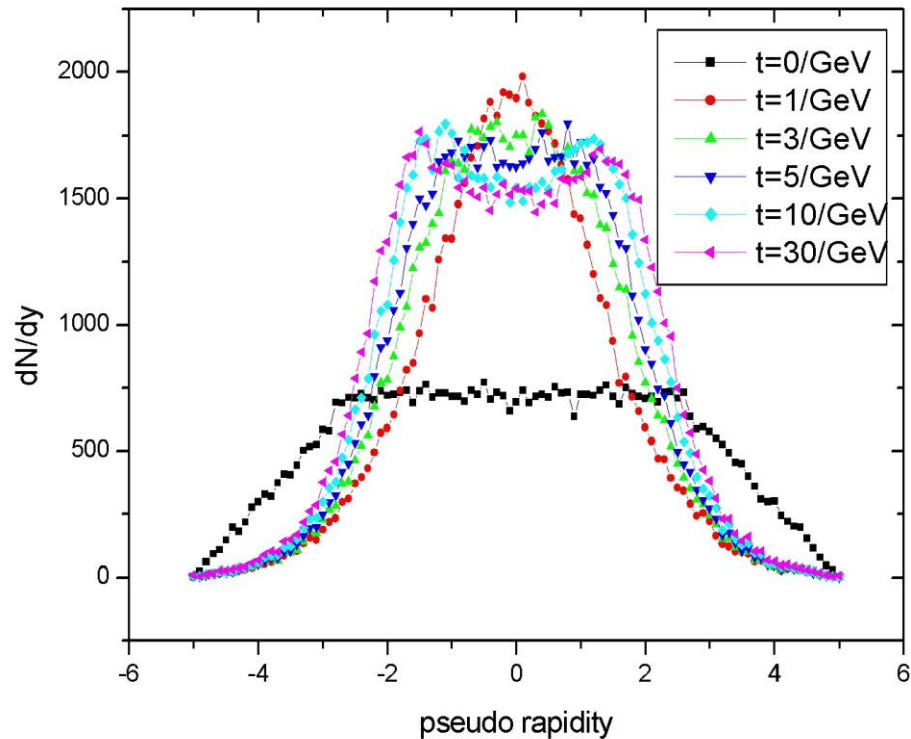
< b=0fm, K=2, LPM, |y|<2 >

• Energy Density



**< K=2, LPM, at center with
r=1.1fm >**

• Pseudo Rapidity Distribution:



< K=2, LPM, b=0fm >

5. CONCLUSION

- **It seems to me that the elliptic flow can be understood without hydrodynamics**
- **There are many secondary JETS but lose energy**
- **Momentum isotropy(polar) cannot be achieved even with limited rapidity range**
- **THANK YOU VERY MUCH!**