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YONSEI UNIVERSITY

Azimuthal Anisotropy in central d+Au collisions at  
 $\sqrt{s_{NN}}=200\text{GeV}$  measured in PHENIX at the RHIC

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2019. 05. 24

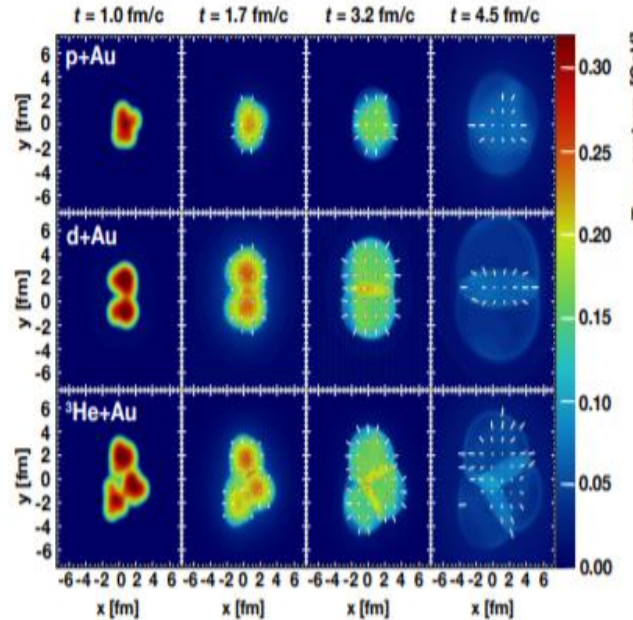
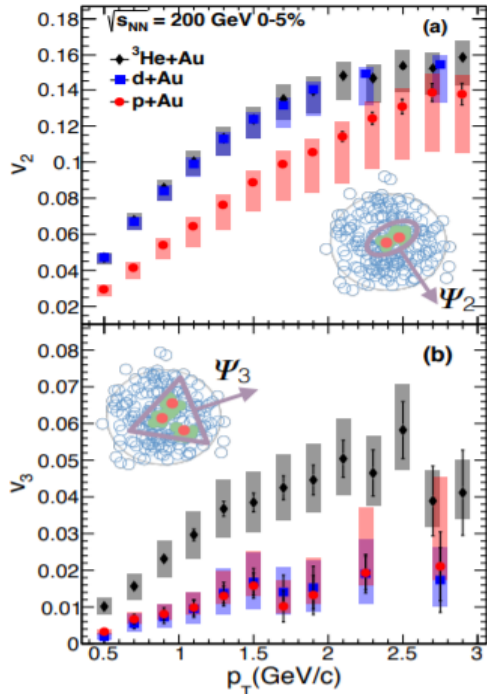
Jaehyeon Do(Yonsei)

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- Things to be done
- Backup

# Introduction: Small System

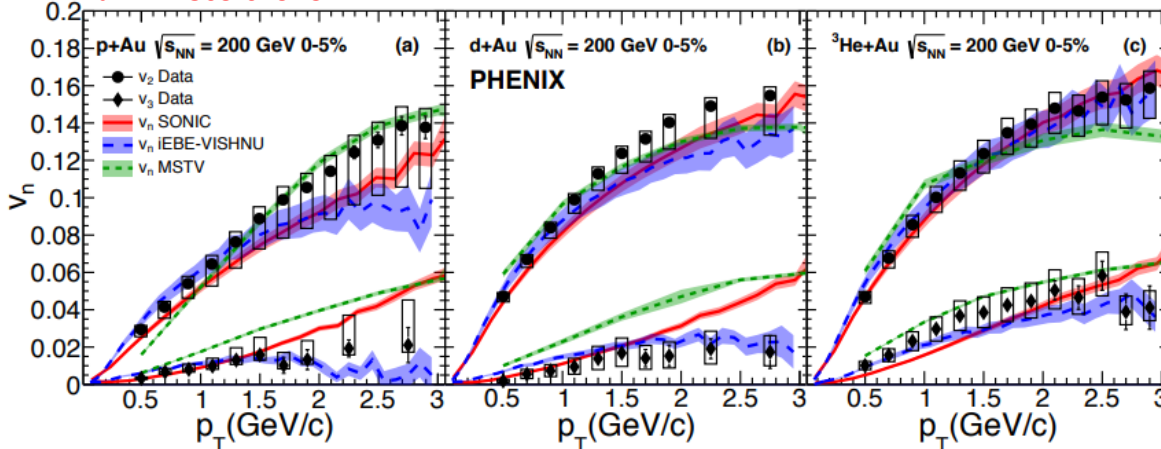
arXiv:1805.02973v1



Glauber model MC + Hydro dynamic evolution

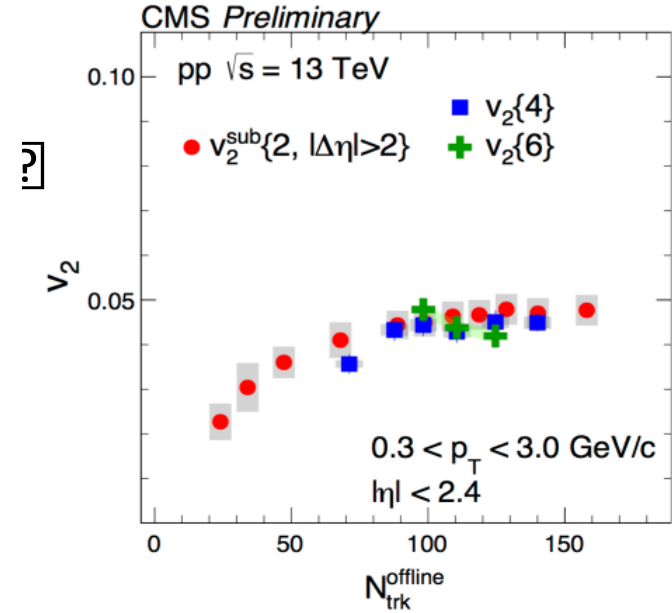
- $v_2, v_3$  are strongly correlated with initial geometry (pAu, dAu, HeAu : 200GeV)
- Comparison to Hydro dynamic model (SONIC, IEBE-VISHNU) and Initial state momentum correlation model (MSTV)
- Small system collective behavior is still need to be investigated

arXiv:1805.02973v1

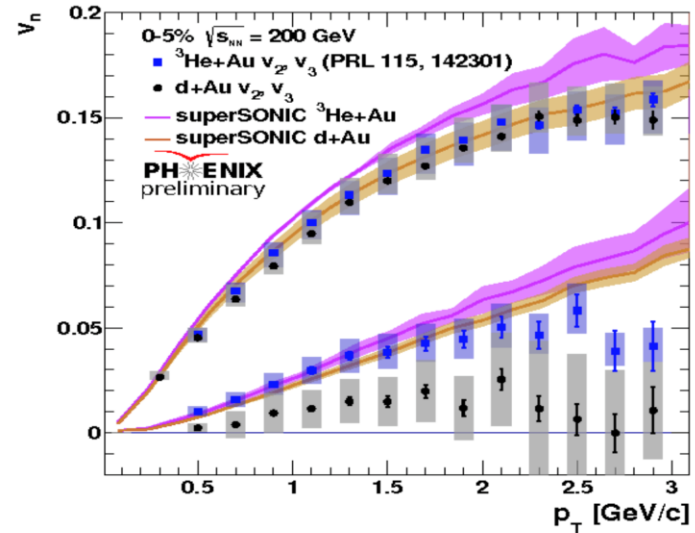
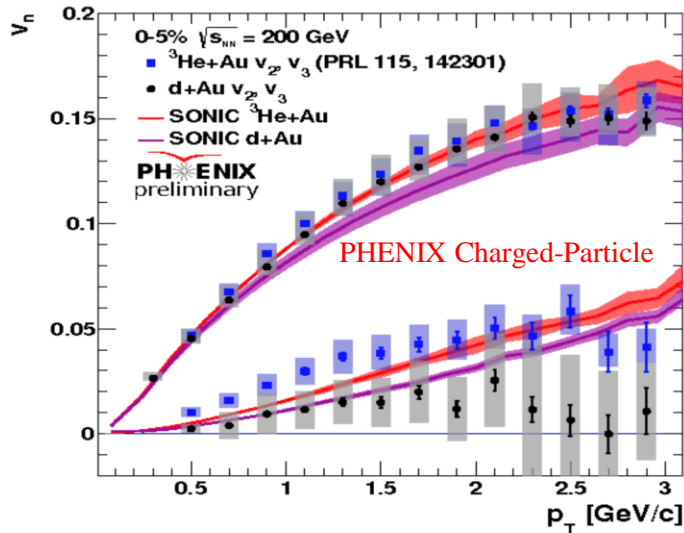


# Introduction: Small System

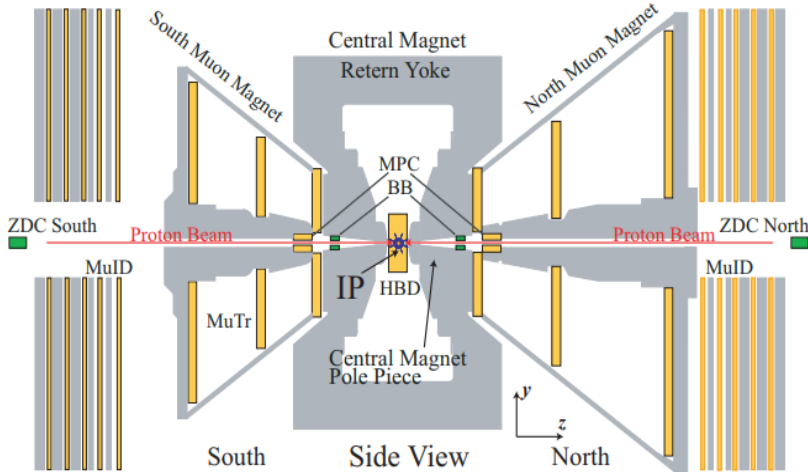
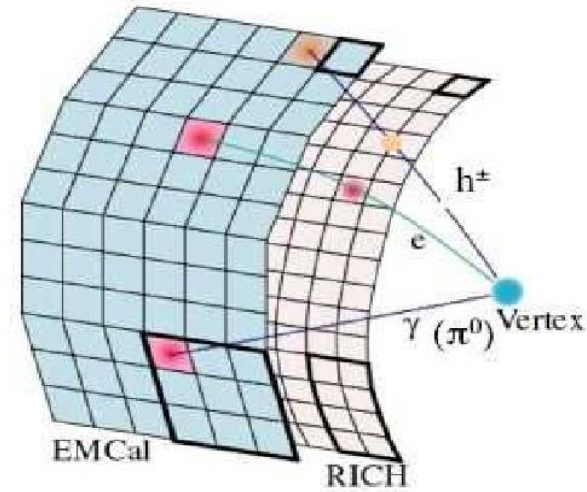
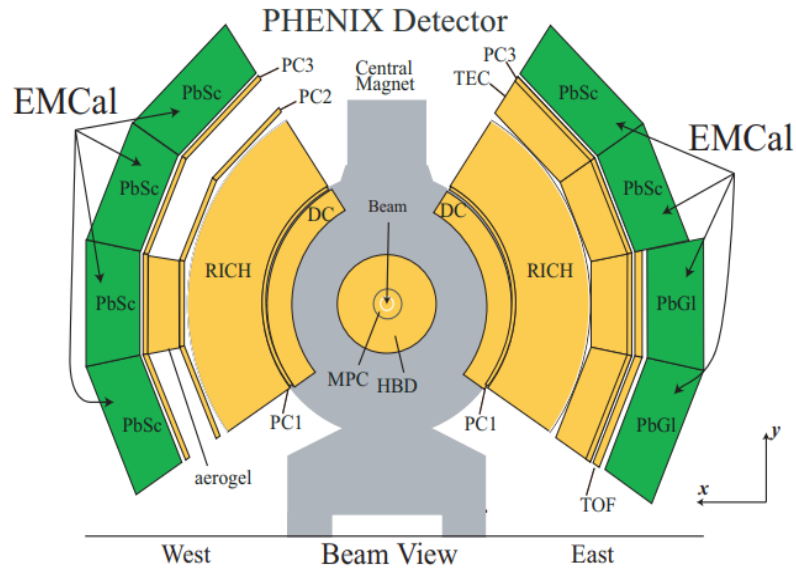
- RHIC and LHC Showed in small systems (d+Au, p+Pb, pp) have similar collective behavior of heavy ion collision
- $\pi^0$  is reconstructed by 2  $\gamma$ , measured by EM-calorimeter (easy to identify up to high Pt)
- Run16dAu200GeV (~2Bilion events)



PRL 115, 142301



# Detector Setup

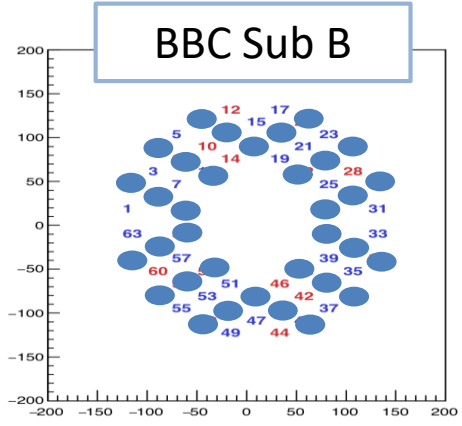
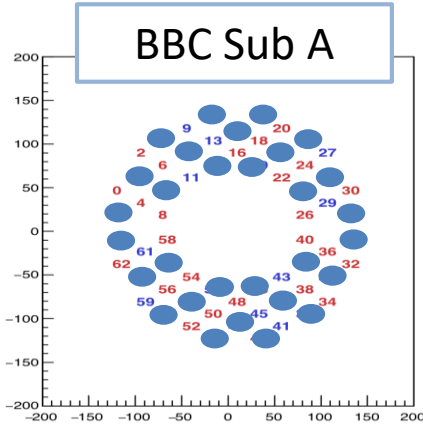
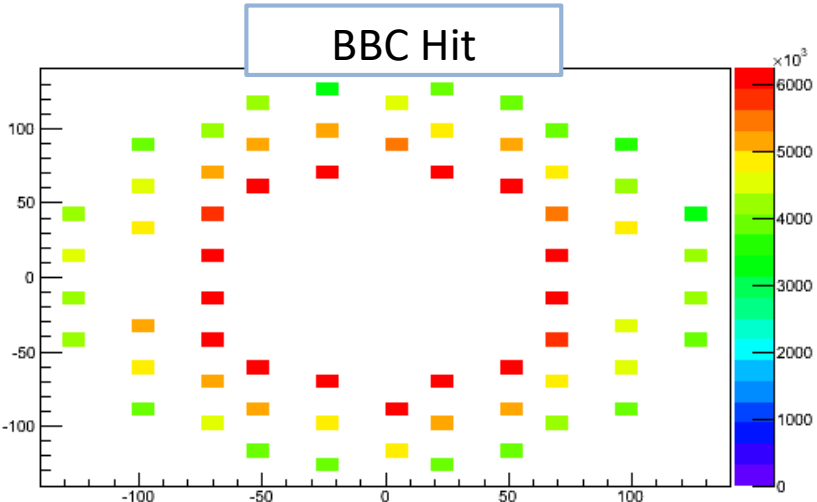


- EMCal (Central arm):  $-0.5 < \eta < 0.5 : \pi^0$
- Consist of 8 sectors
- Each sectors have 36x72 (48x96) channels

- BBC:  $-3.8 < \eta < -3.1$
  - FVTX:  $-2.5 < \eta < -1.5$
  - MPCEX:  $-3.8 < \eta < -3.1$
- Reaction-Plane
- BBC used main Reaction plane detector because of statistics

• **DataSet : Run16 d+Au 200GeV MB trigger**

# Event plane calibration : BBC Setup



64 channels with Chrenkov radiator + PMT

- We divided BBCS into 2 sub part keeping its symmetric over  $\varphi$  angle
- Calibrated each sub event EP, crucial to calculate EP resolution

$$Q_n = |Q_n| e^{in\Psi_n} \equiv \frac{1}{N} \sum_j e^{in\phi_j}$$

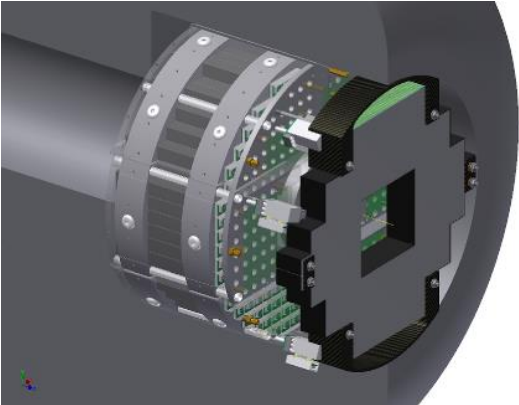
$$Q_x = Re(Q_n), \quad Q_y = Im(Q_n)$$

- Raw Q vectors are biased by detector acceptance, it needs Re-centering, Twisting, Rescaling, Flattening correction

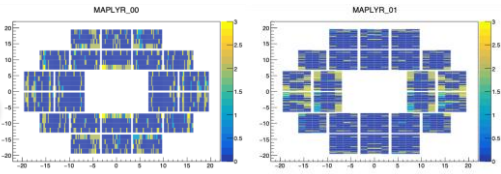




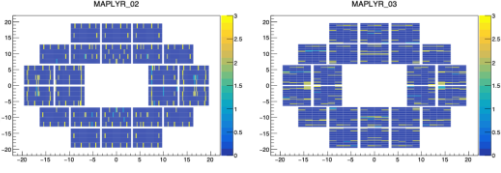
# Event plane calibration : MPCEX Setup



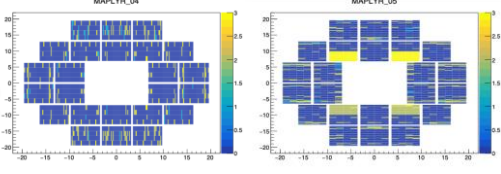
St0



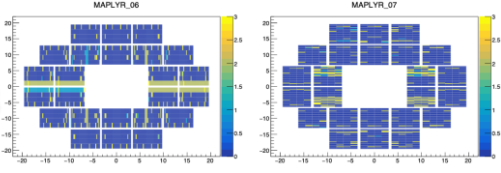
St1



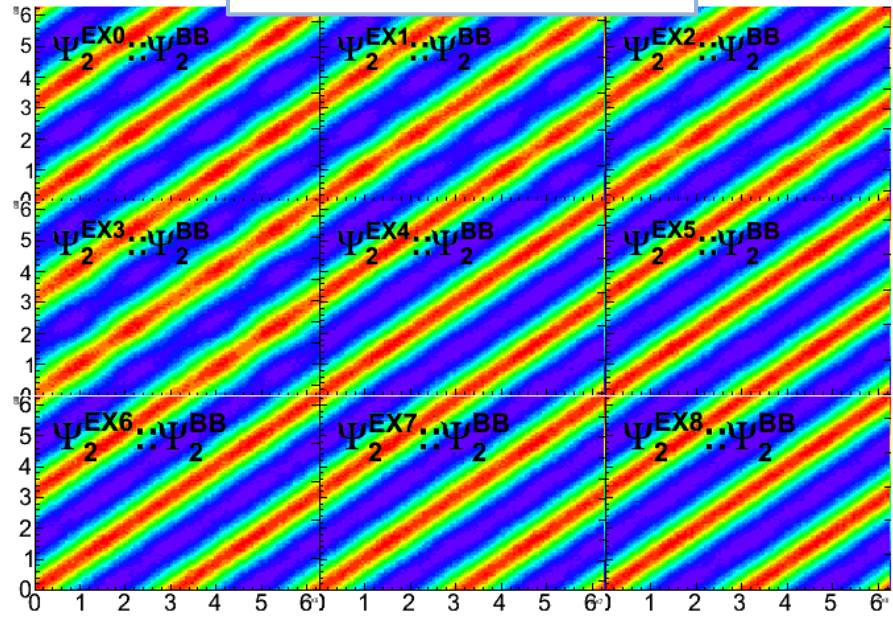
St2



St3

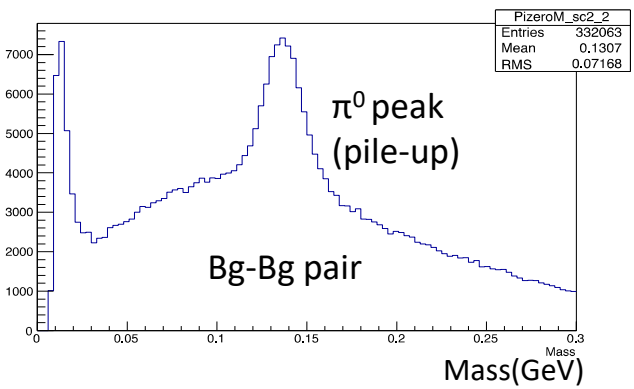
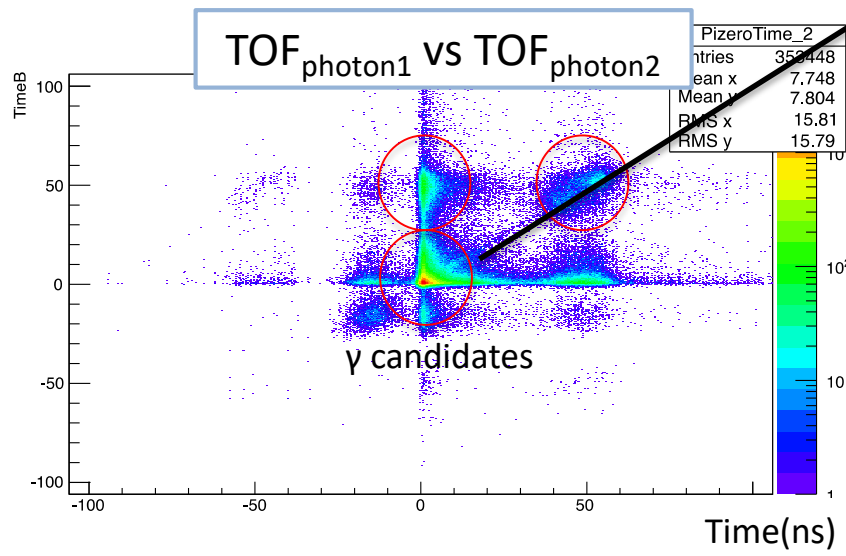
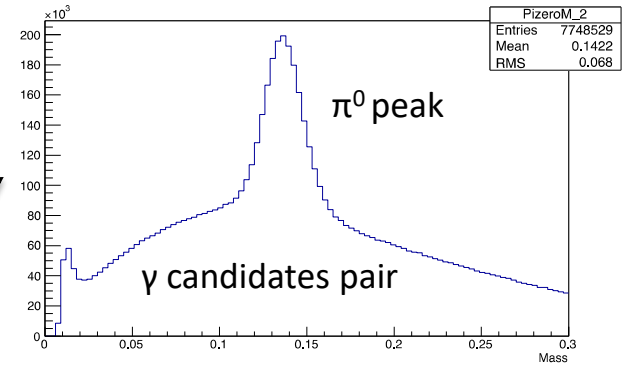
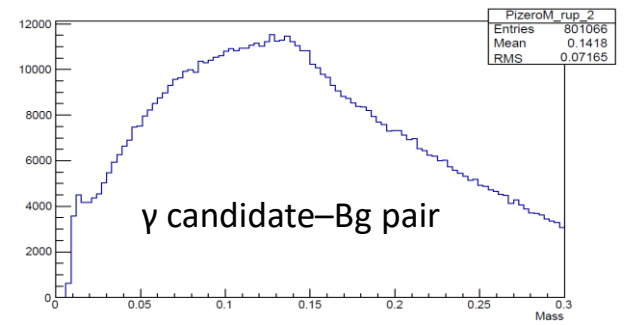
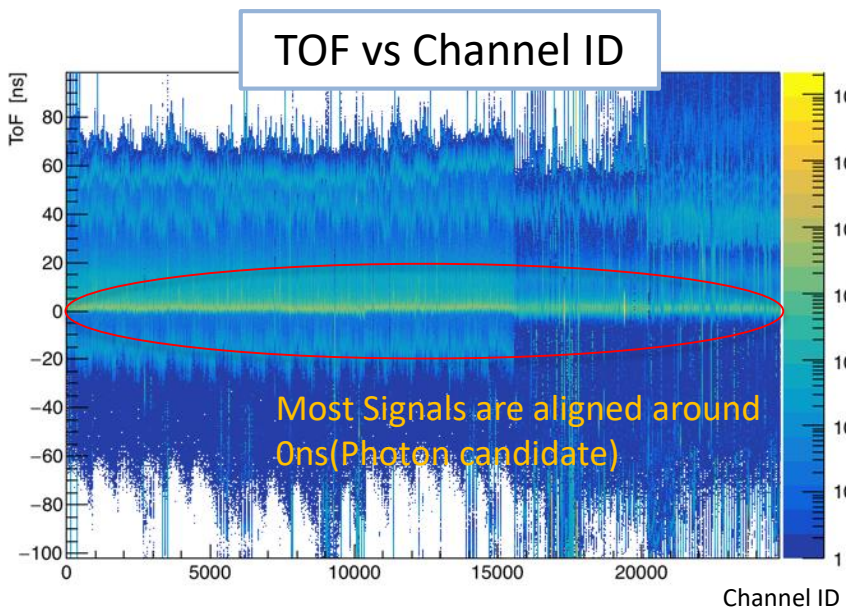


BBC EP vs MPCEX EP



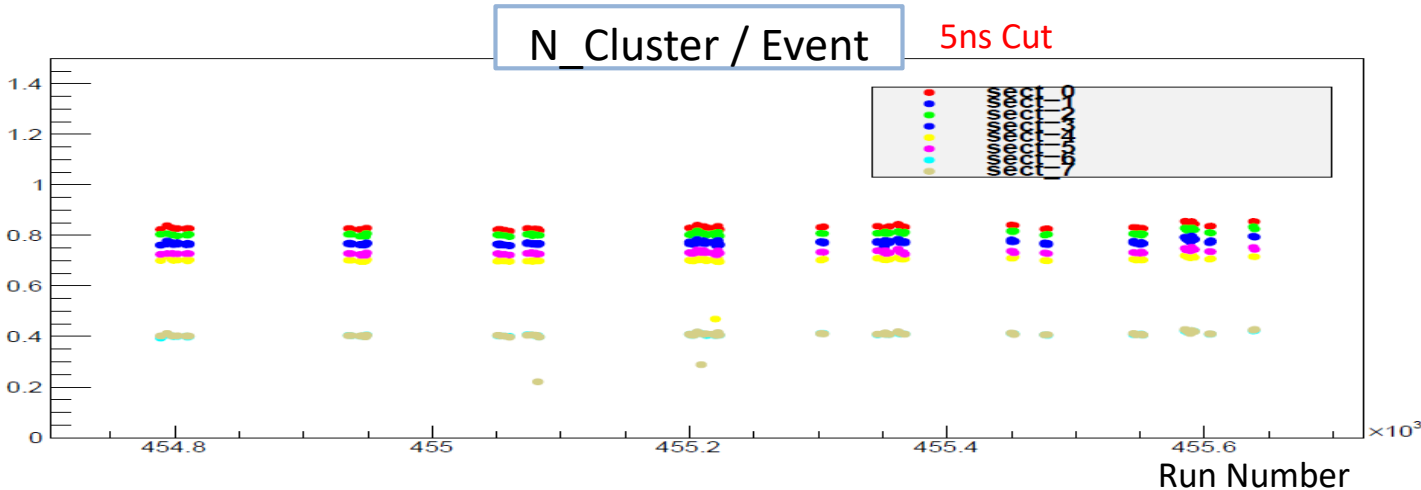
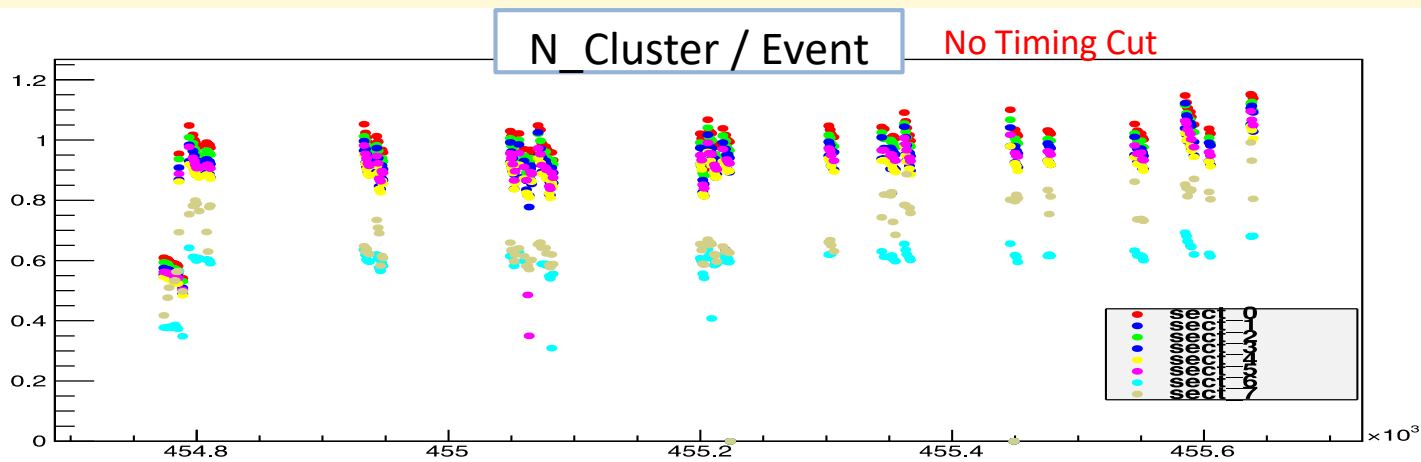
- MPCEX has 8 layers of silicon EM shower calorimeter that sampling shower energy induced by tungsten layer
- Very good spacial discriminating, less statics for flow measurement
- Correlation with BBC EP after re-centering and flattening calibration

# EMCal calibration: Timing calibration



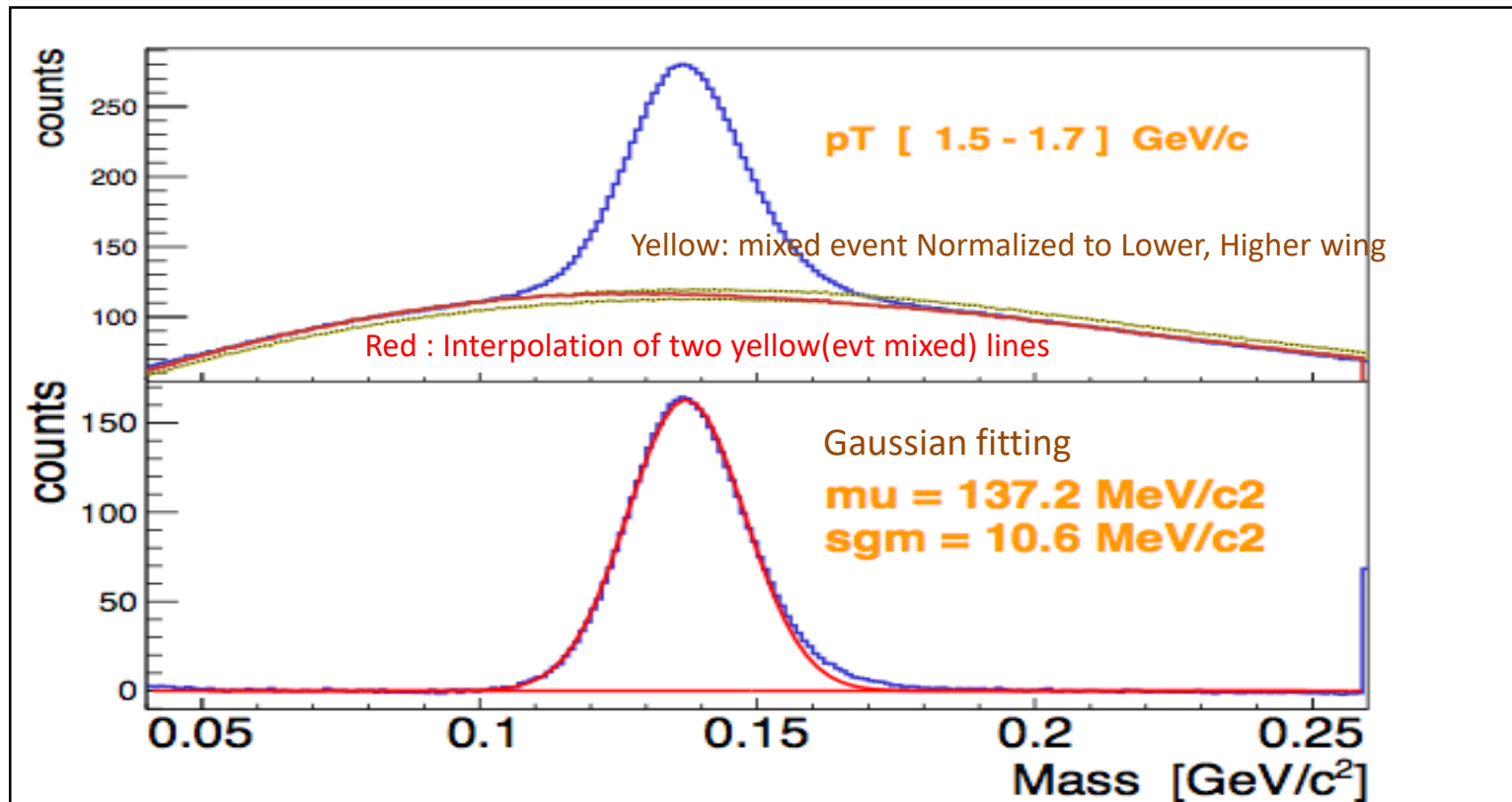


# RunQA : # of EMCal Cluster per Event(Run16dAu200)



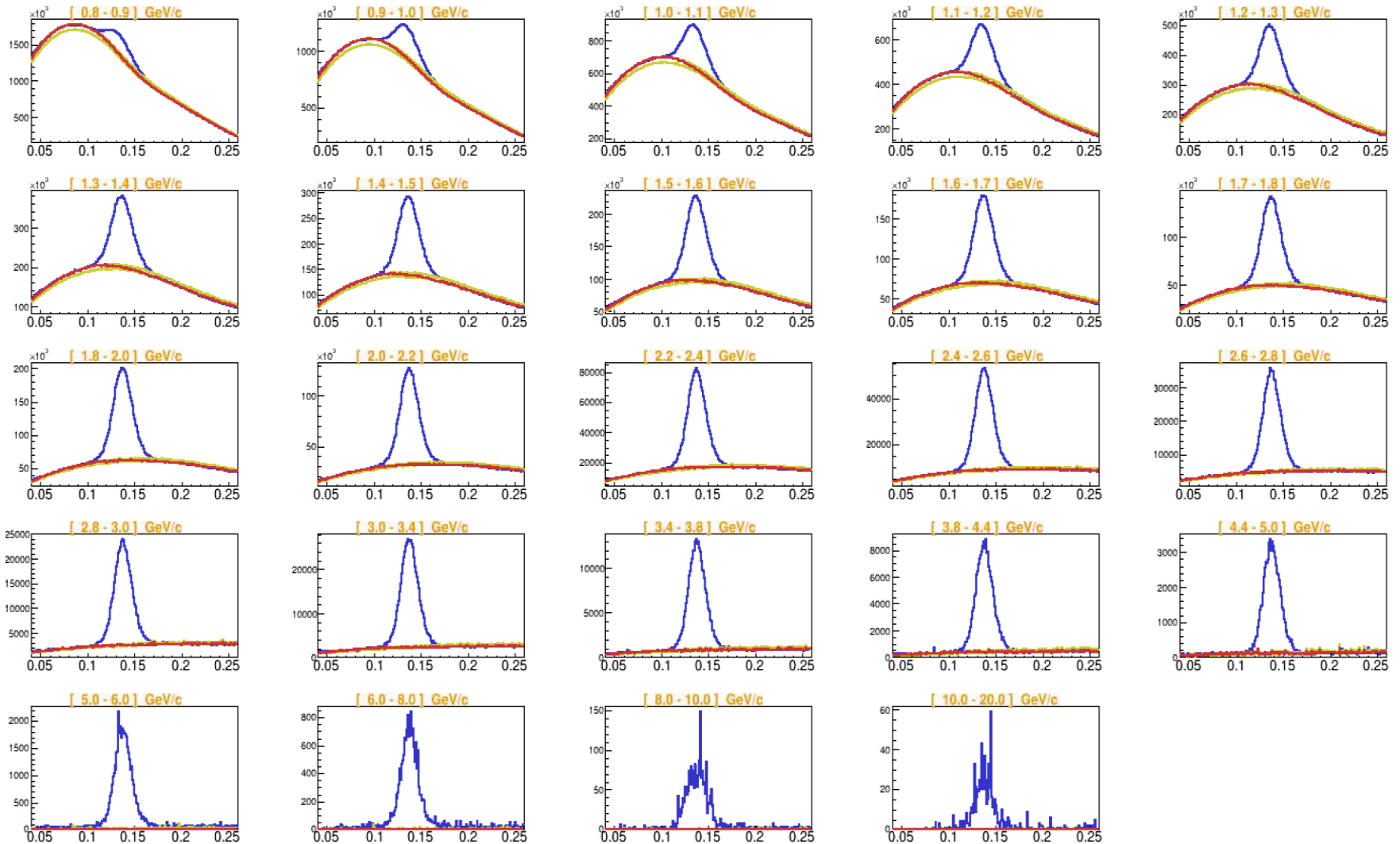
- We Applied 5ns timing cut on Run16dAu200GeV and 15ns on Run15pp200GeV because pp data has worse timing resolution (~5ns) (Run15pp data has worse timing resolution because of worse timing resolution of BBC)
- Number of cluster per events become flatten after timing cut, implying it effectively backgrounds by pile-up

# Signal Extraction : Background Estimation

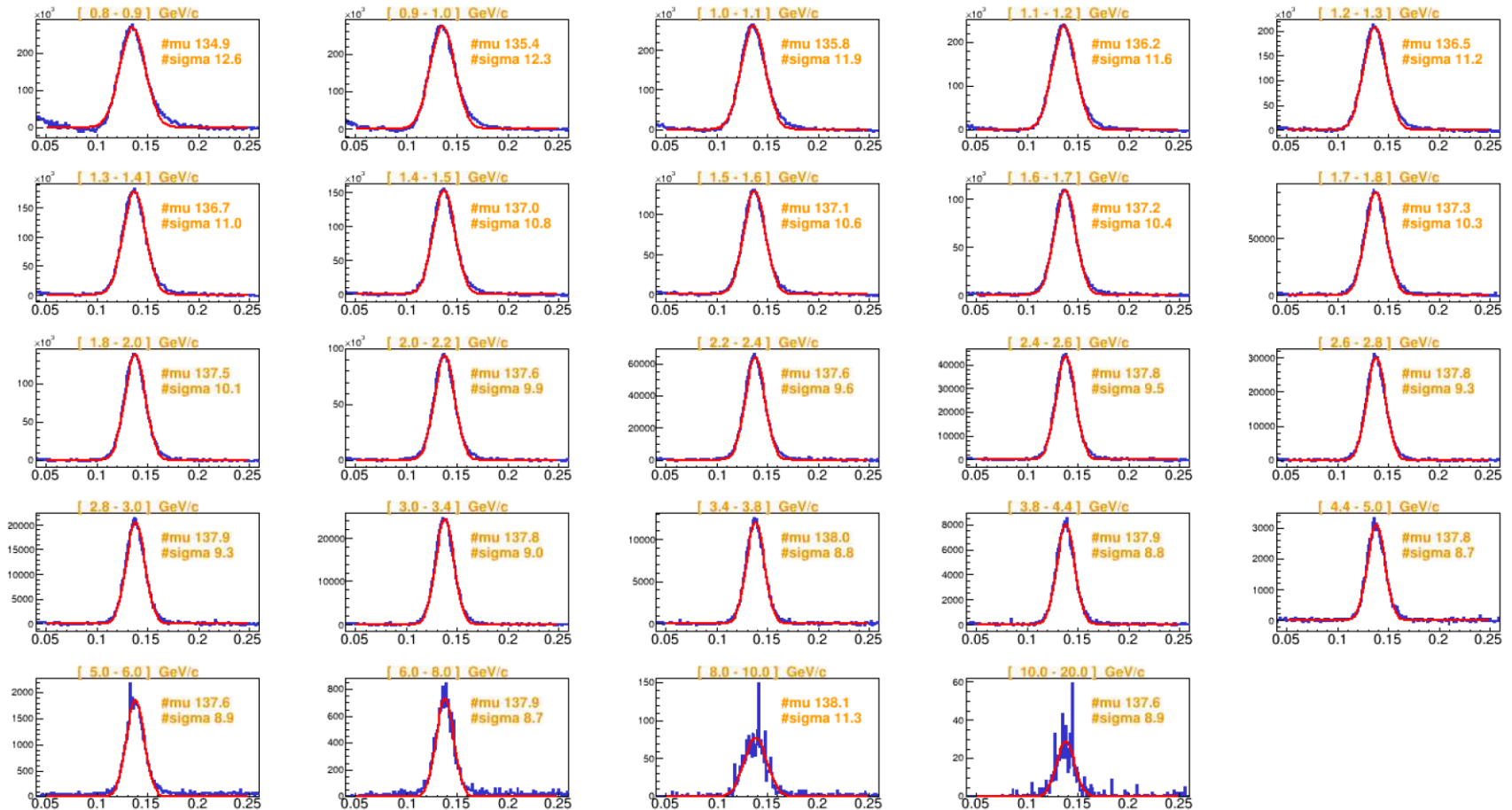


- We made event mixed background to estimate background distribution but when it has small disagreement depends on which area used for normalization
- To minimize error, we mixed 2 normalization by interpolation one is by lower tail and the other one is by high tail
- Extracted S/B ratio based on this study
- Tested effect of different normalization as systematic study

# Signal Extraction : Background Estimation(dAu200)

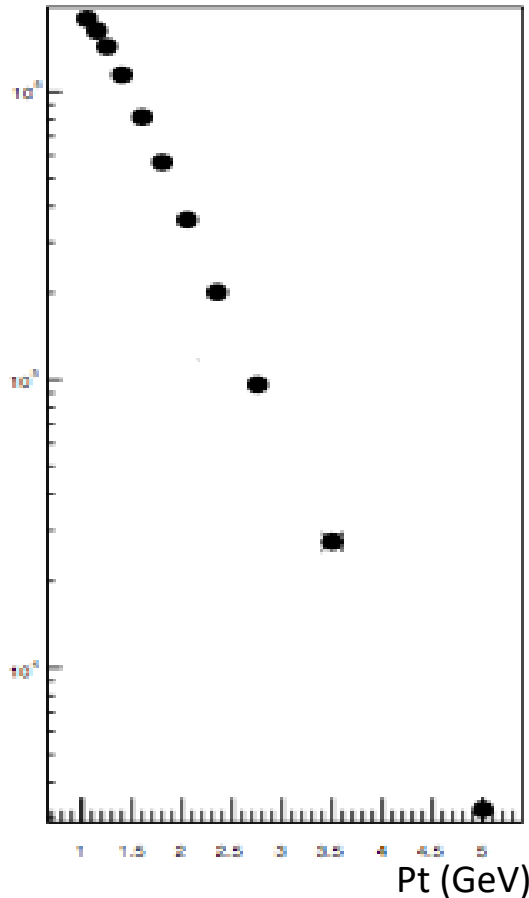


# Signal Extraction : After subtraction(dAu200)

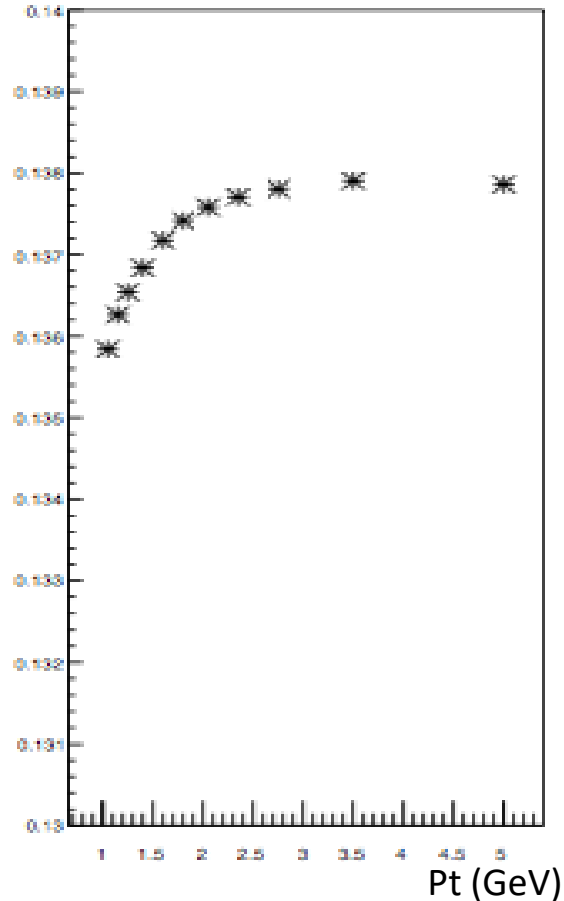


# $\pi^0$ Raw $dN/dPt$ , Mass Peak, Mass resolution

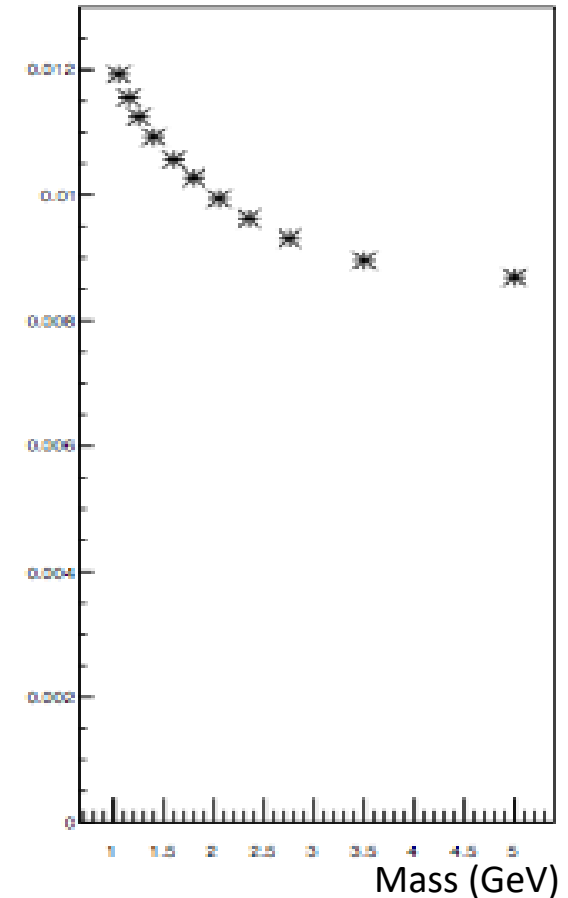
$\pi^0$  Raw  $dN/dPt$



Mass Peak

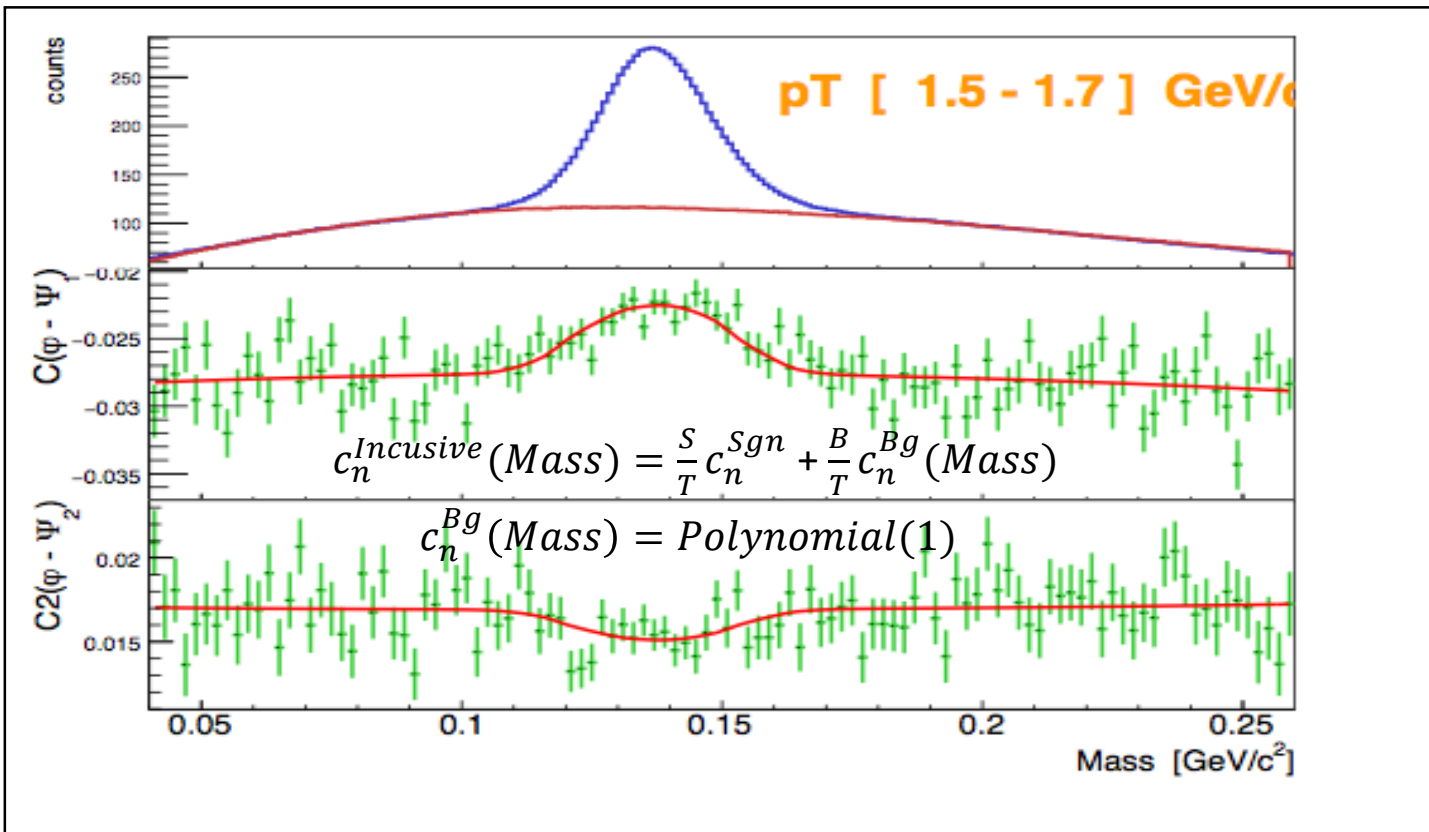


Mass Resolution



- No efficiency correction on  $dN/dPt$ , only statistical errors are show
- Mass peak, resolution showing reasonable behavior that imply we found good  $\pi^0$  candidate

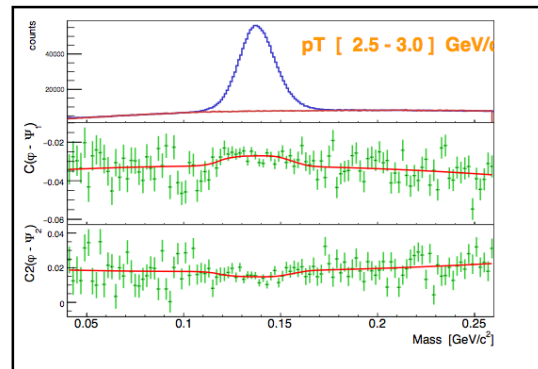
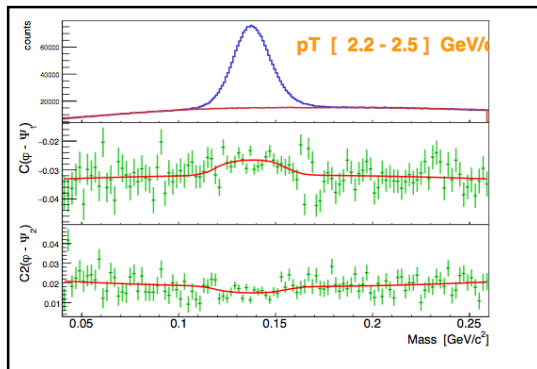
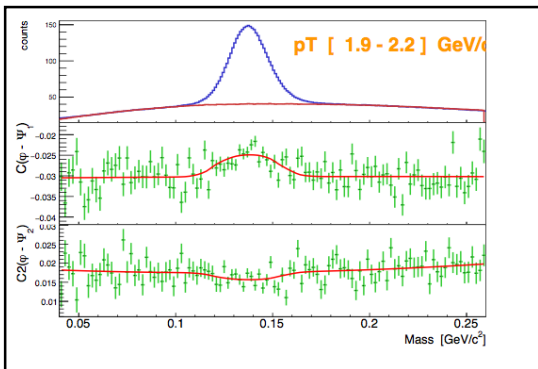
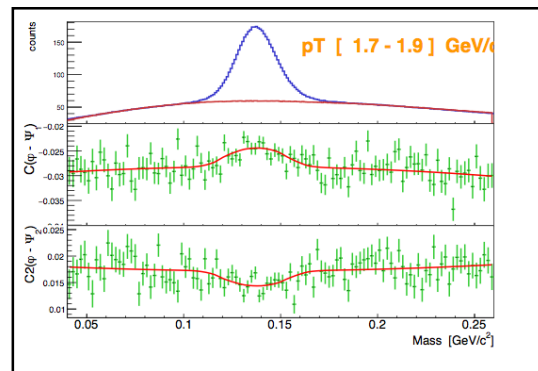
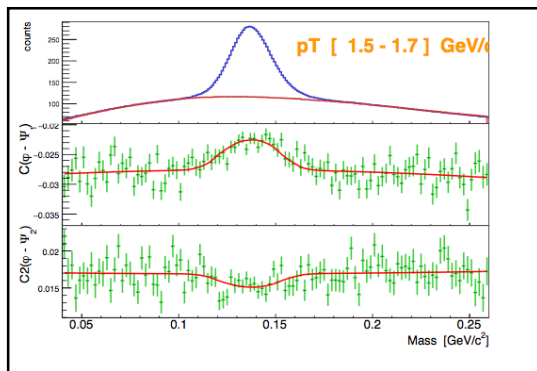
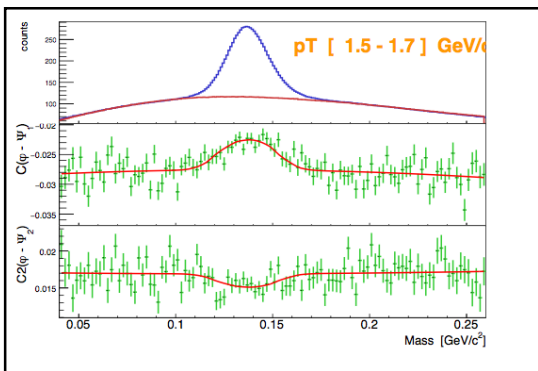
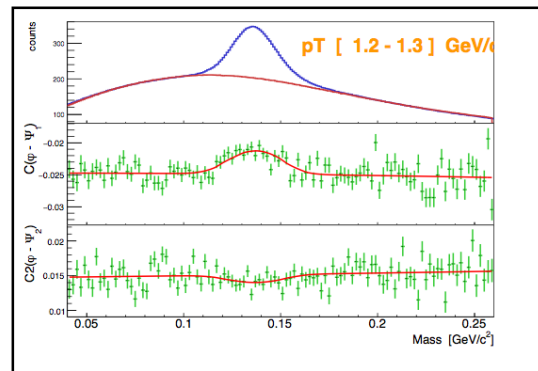
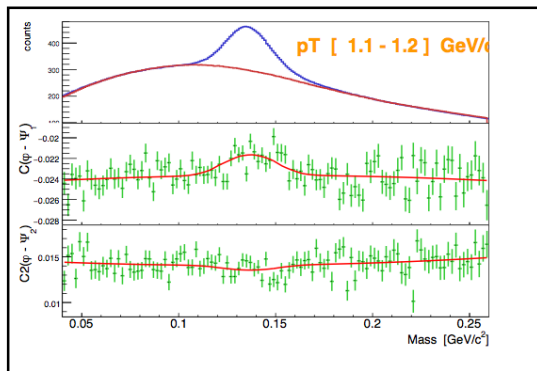
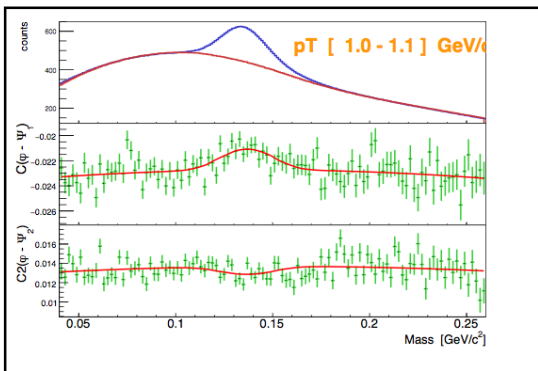
# Measuring $C_n$



- For each mass bin (green points) we measured  $C_n^{Inclusive}$  values
- Assuming true  $C_n^{Sgn}$  (from  $\pi^0$ ) values are fixed and  $C_n^{Bg}$  are smoothly changing represented by various polynomials (0, 1, 2 : Pol1 is default)
- By applying S/B ration we found page 16 we can fit  $C_n^{Inclusive}$  distribution and estimate true  $C_n^{Sgn}$  values (Where S : signal, B : Background, T : Total)



# Measuring $C_n$



# Systematics study

- PhotonCuts

- Emcal Timing cut: Default 5ns, Test +- 4, +-6

- PairCuts

- Distance between clusters : 8cm, Test 7cm, 9cm

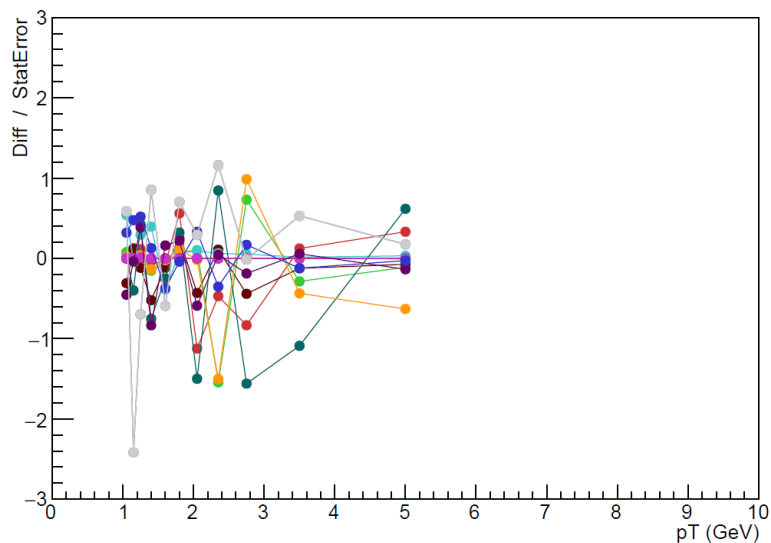
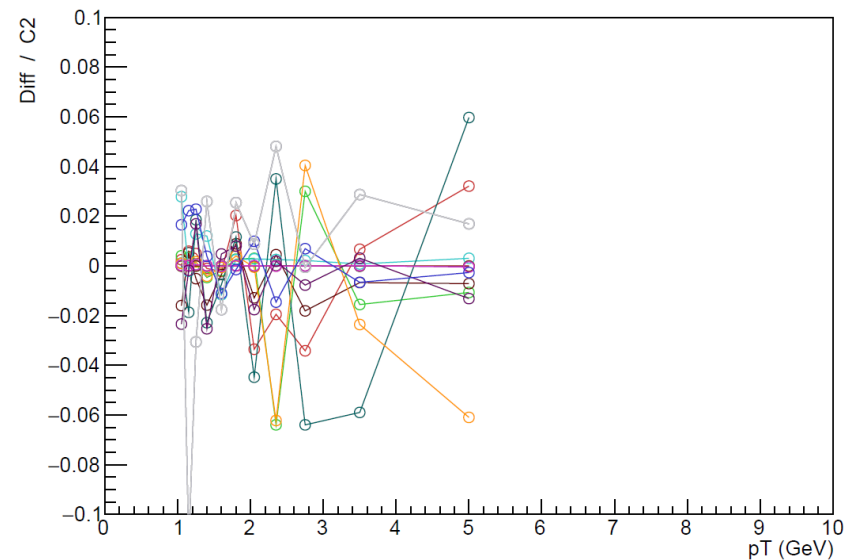
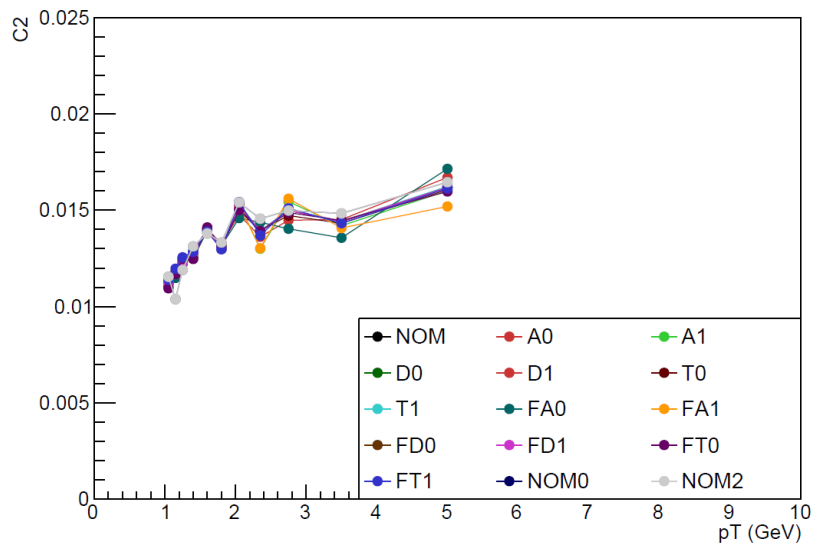
- Pair Energy Asymmetry : 0.8, Test 0.65, 0.9

- Signal extraction

- Range of evt mixed normalization : Test Low, High

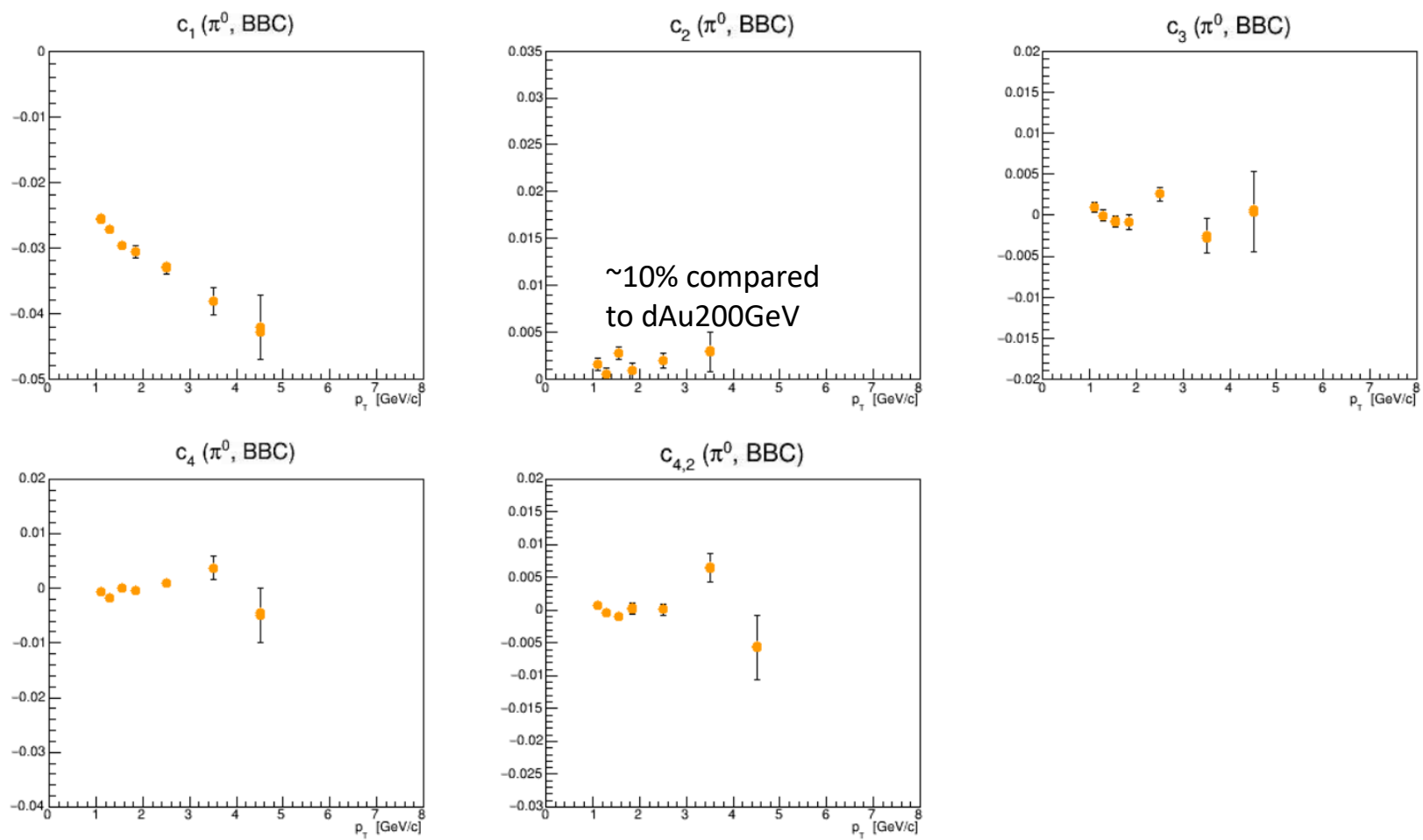
- C2 background function: Poly(1), Test Poly(0), poly(2)

# Systematics study : C2



- A : Asymmetry, D : Distance, T : Timing, NOM : Polynomial order, 0 : Bottom limit, 1 : Top limit, F is full range and without F, its half range
- Systematic error is about  $\sim 2-6\%$  which is comparable with statistical error

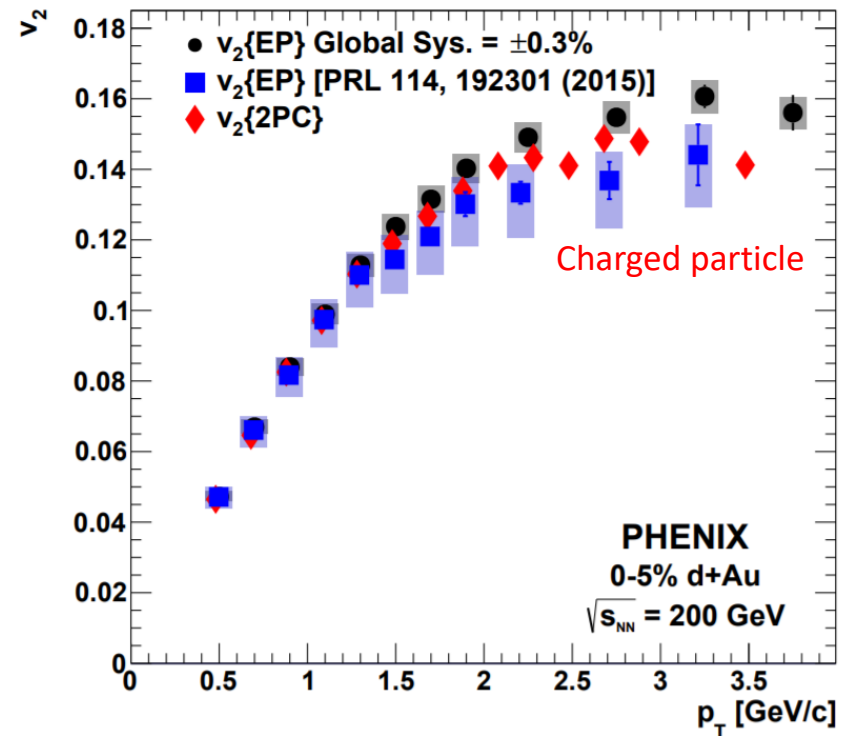
# Non-flow study : Run15pp200



- To estimate non-flow contamination in dAu flow, we measured flow on pp as well with same method

# $\pi^0$ $C_2$ (BBC EP, with systematics)

PRL 120, 062302



- Good Agreement with published data (0.107 EP resolution)
- Non-flow from pp200 data is not accounted
- To get approval we need to fix issue on event plane calibration

# To be done

- We found EP calibration issue and fixing it
- Add Non-flow component as systematic error
- Request approval to PWG group
- Scalar product, Cumulant method on progress
  - Complementary measurement to EP method
- Comparison with AMPT, Hydro dynamic model



# Backup

# Ep resolution : 2sub event

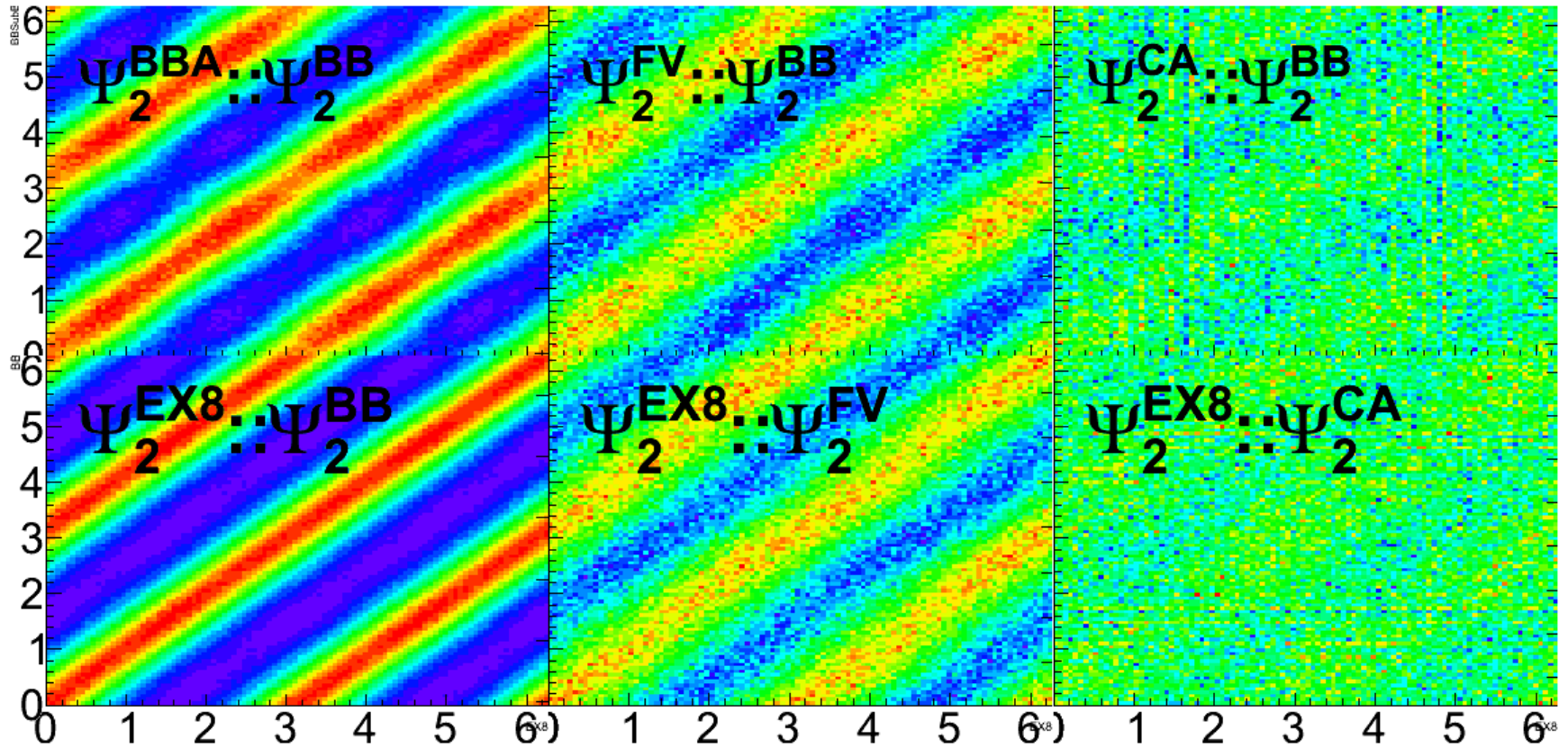
Definition of resolution

$$R \equiv \left\langle e^{in(\Psi_n - \Phi_n)} \right\rangle = \left\langle \frac{Q_n}{|Q_n|} e^{-in\Phi_n} \right\rangle$$

By Factorization assumption

$$\begin{aligned} \left\langle \frac{Q_{nA}}{|Q_{nA}|} \frac{Q_{nB}^*}{|Q_{nB}|} \right\rangle_{|v_n} &= \left\langle \frac{Q_{nA}}{|Q_{nA}|} e^{-in\Phi_n} \right\rangle_{|v_n} \left\langle \frac{Q_{nB}}{|Q_{nB}|} e^{-in\Phi_n} \right\rangle \\ &= \left| \left\langle \frac{Q_{nA}}{|Q_{nA}|} e^{-in\Phi_n} \right\rangle_{|v_n} \right|^2 = R(v_{nA})^2 \end{aligned}$$

# EP correlation



# Cumulant method

2Particle correlation is

$$\begin{aligned}\langle\langle 2 \rangle_n\rangle &= \langle\langle \exp m(\varphi_i - \Psi_n + \Psi_n - \varphi_j) \rangle\rangle \\ &= \langle\langle \exp m(\varphi - \Psi_n) \rangle\rangle \langle\langle \exp m(\Psi_n - \varphi) \rangle\rangle = \langle v_n^2 \rangle\end{aligned}$$

Expand  $P \cdot Q^*$  ( $P, Q$  is  $q$  vectors from interested particles and RP detector) we have

$$\langle 2 \rangle_{n;p,Q} = \frac{p_n Q_n^* - m_q}{m_p M - m_q}$$

Where  $m_p$  is multiplicity of interested particles and  $M$  is multiplicity of RP detector and  $m_q$  is multiplicity of particles belongs to both group.

Similarly 4 particle correlation is defined

$$d_n\{4\} \equiv \langle\langle 4 \rangle_{n;p,Q,q} \rangle - 2\langle\langle 2 \rangle_{n;p,Q} \rangle \langle\langle 2 \rangle_{n;Q,Q} \rangle$$

# Cumulant method

$$\begin{aligned} \langle 4 \rangle_{n;p,Q,q} = & [p_n Q_n^* |Q_n|^2 - q_{2n} Q_n^* Q_n^* - p_n Q_n Q_{2n}^* + q_{2n} Q_{2n}^* - 2M p_n Q_n^* \\ & - 2m_q |Q_n|^2 + 7q_n Q_n^* - Q_n q_n^* + 2p_n Q_n^* + 2m_q M \\ & - 6m_q] / (m_p M - 3m_q) (M - 2) (M - 1) \end{aligned}$$

Because we are interested in  $\pi^0$  not RP detector

$$v_n\{2\} = \frac{d_n\{2\}}{\sqrt{r_n\{2\}}} \qquad v_n\{4\} = -\frac{d_n\{4\}}{\sqrt[4]{-r_n\{4\}}^3}$$

Where  $d_n$  is correlation from interested particles and  $r_n$  is correlation from RP particles

If we consider event by event fluctuation of flow

$$v_n\{2\} = \langle v_n^2 \rangle^{1/2} \qquad v_n\{4\} = \left( -\langle v_n^4 \rangle + 2\langle v_n^2 \rangle^2 \right)^{1/4}$$

Are given in previous discussion

If we consider Gaussian fluctuation average over many events it gives

$$v_n\{2\} \simeq \langle v_n \rangle + \frac{\sigma^2}{2\langle v_n \rangle} \qquad v_n\{4\} \simeq \langle v_n \rangle - \frac{\sigma^2}{2\langle v_n \rangle}$$

# Cumulant method

Or with Bessel Gaussian type fluctuation

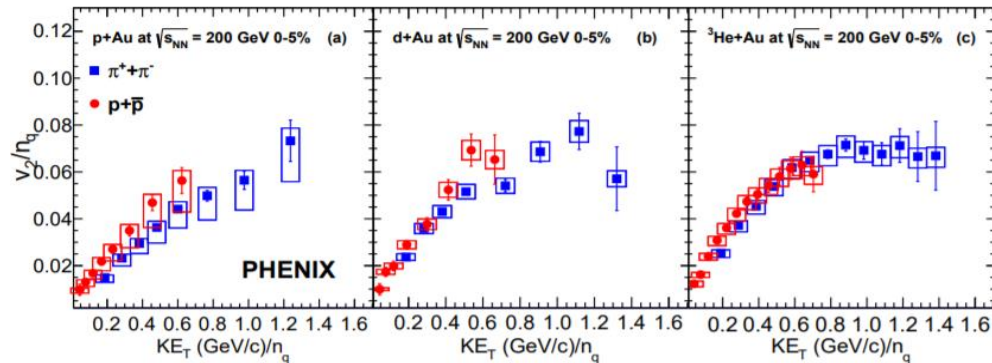
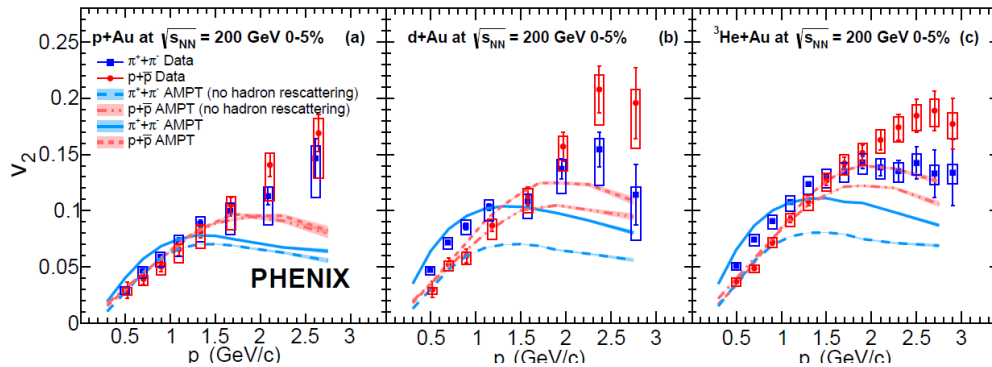
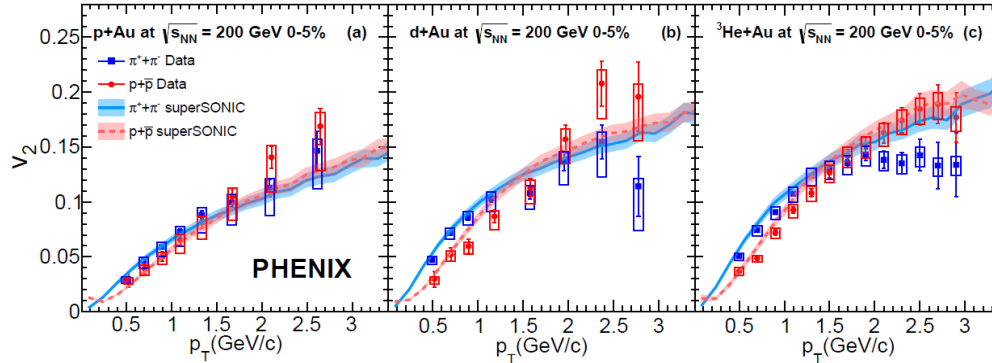
$$v_n\{2\}^2 \simeq \langle v_n \rangle^2 + 2\sigma^2 \qquad v_n\{4\} \simeq \langle v_n \rangle$$

Cumulant method gives not only  $v_n$  but also fluctuation, without consider non-flow contamination



# Small System

arXiv:1710.09736v2



- Comparing proton and charged hadron  $v_2$  on different systems (pAu, dAu, HeAu : 200GeV)
- Clear mass splitting is observed in dAu, HeAu
- Quark number scaling is observed in dAu, HeAu
- Hydro model prediction matches with data but failed to reproduce mass splitting
- AMPT model predictions match with data but under estimates  $v_2$  in high  $p_T$  region ( $>2\text{GeV}$ )

# Emcal Timing resolution(dAu200)

