

KAONIC Nuclear Bound Systems

toward
COLD and **DENSE** Nuclei

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Pohang, May 29, 2010

Chiral SU(3) Dynamics

T. Waas, N. Kaiser & W. Weise, Phys. Lett. B379 (1996) 34.

Chiral symmetry

$$T_0 = 3 \frac{m_K}{2f^2}$$

$$T_1 = \frac{m_K}{2f^2}$$

$\bar{K}N$

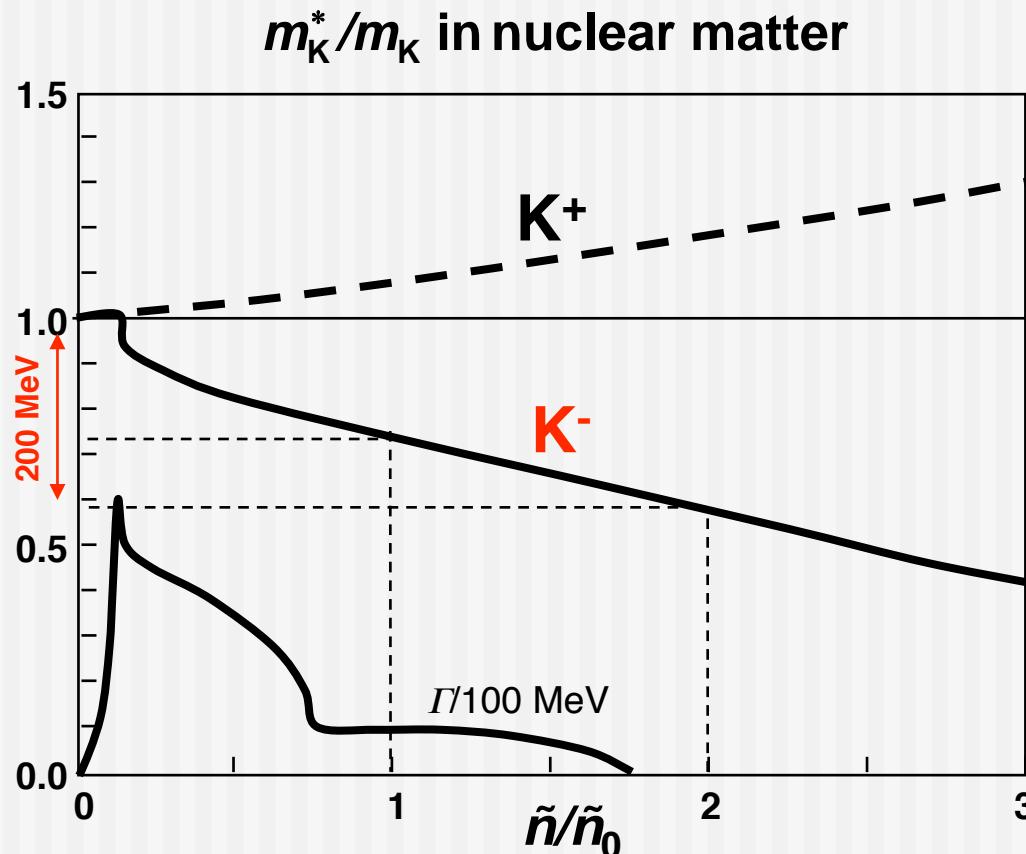
$$3a_1 - a_0 = 2(b_0 + 3b_1) = 0$$

$$T_{1/2} = 2 \frac{m_\pi}{2f^2}$$

$$T_{3/2} = -\frac{m_\pi}{2f^2}$$

$$2a_{3/2} + a_{1/2} = 2b_0 = 0$$

Isoscalar



$$2\dot{\bar{u}}U = -T\tilde{n}$$

$$T_{K^+p}^{\text{thr.}} = -T_{K^+p}^{\text{thr.}} = \frac{m_K}{f^2}$$

$$T_{K^-n}^{\text{thr.}} = -T_{K^-n}^{\text{thr.}} = \frac{m_K}{2f^2}$$

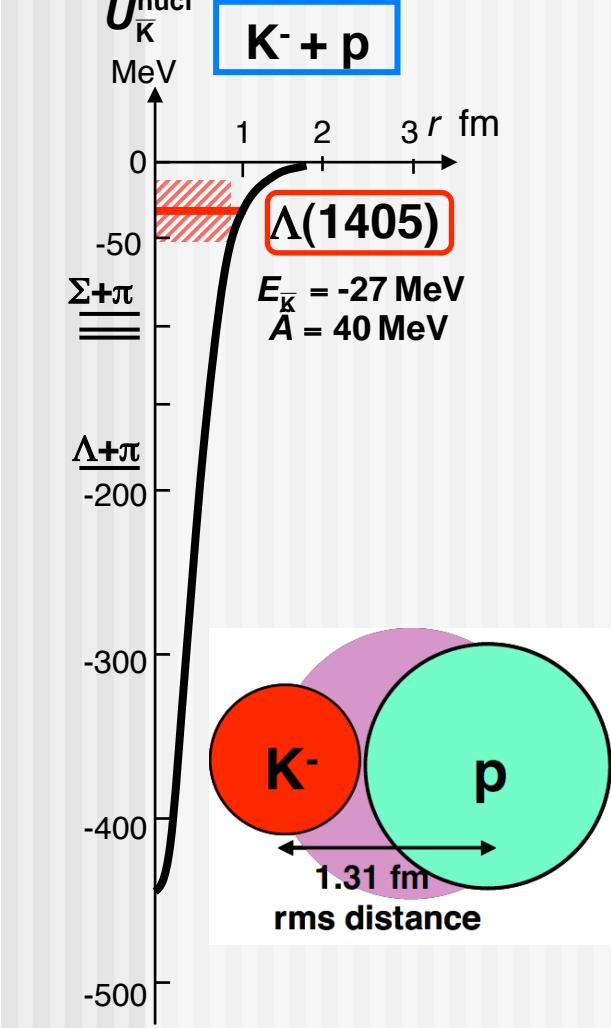
$$T_{\pi^-p}^{\text{thr.}} = -T_{\pi^-n}^{\text{thr.}} = \frac{m_\pi}{2f^2}$$

Tomozawa-Weinberg

7 times

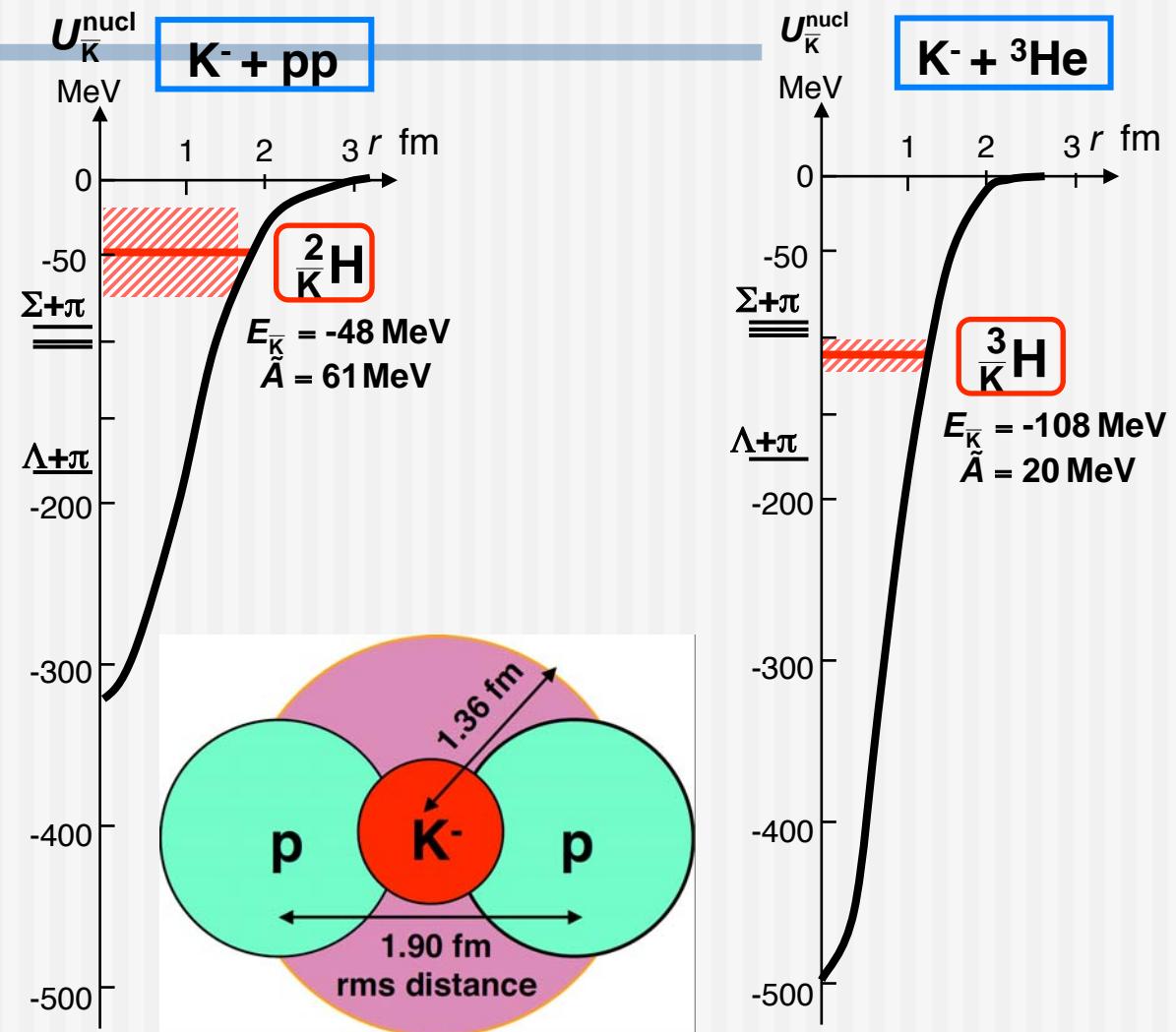
What we call “Chiral Strong”: strong attraction regime

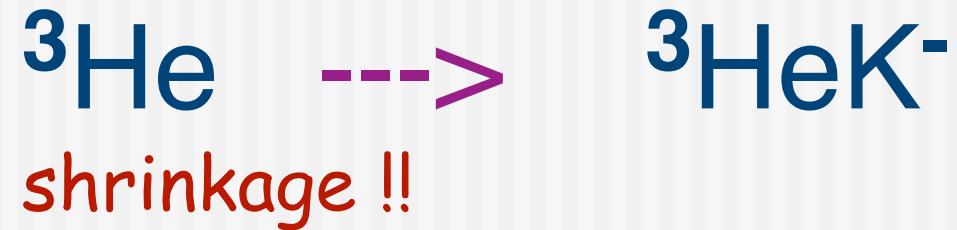
Starting from:
 K-p atom
 K-N scattering
 $\Lambda(1405)$



Strong K^- - p attraction (Weise:1996)
 Nuclear shrinkage

Y. Akaishi and T. Yamazaki, PRC 65 (2002) 044005
 T. Yamazaki and Y. Akaishi, PLB 535 (2002) 70





Antisymmetric Molecular
Dynamics Method
Isovector
Deformation
Dote et al.

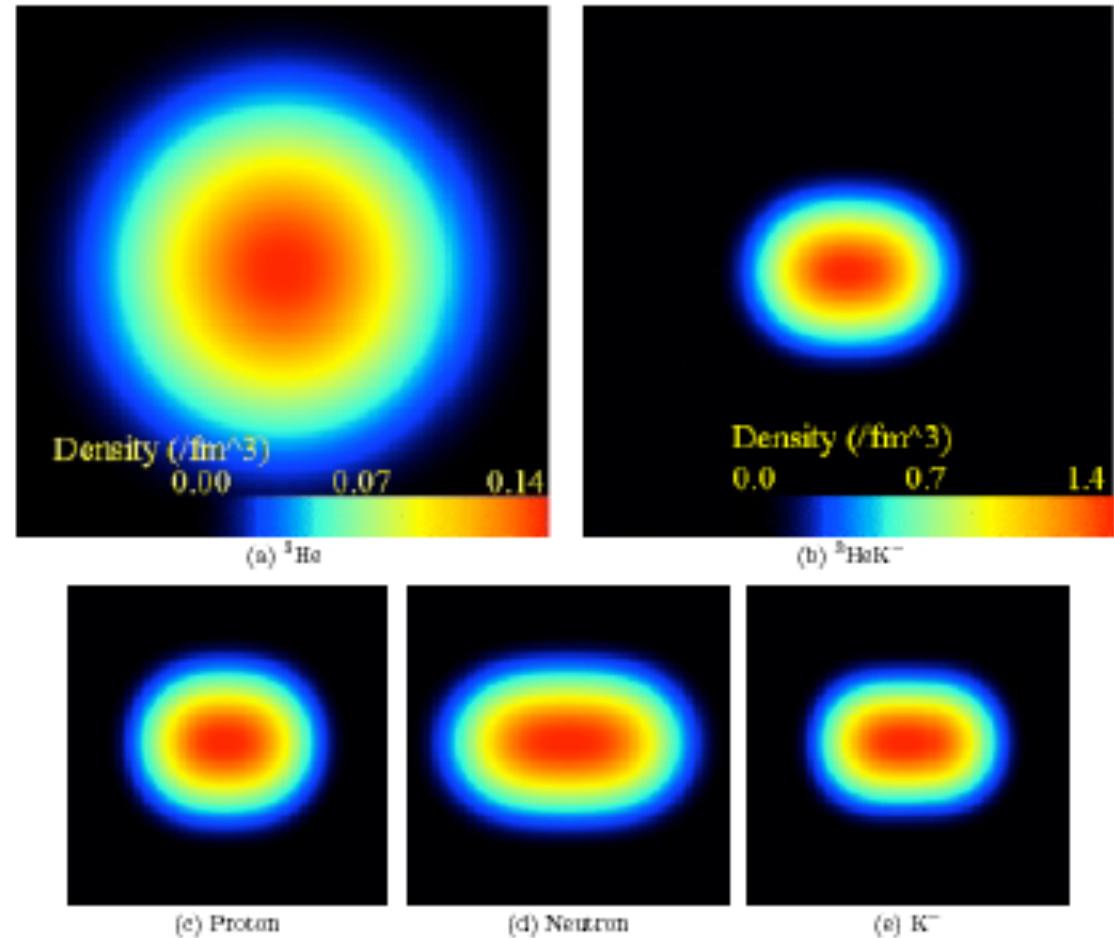
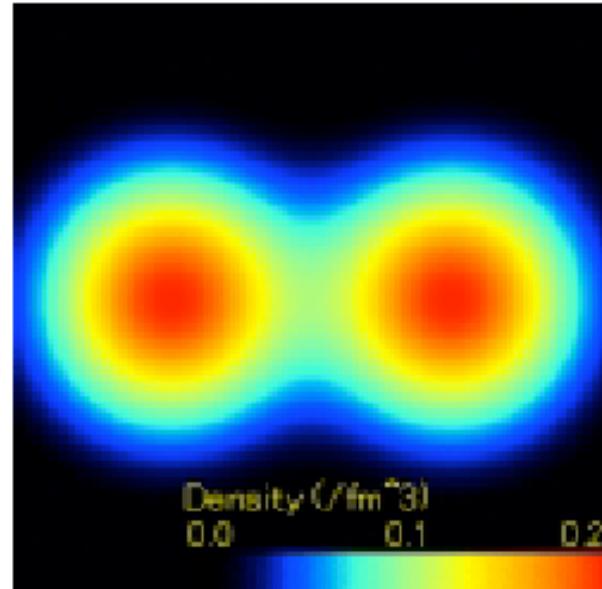


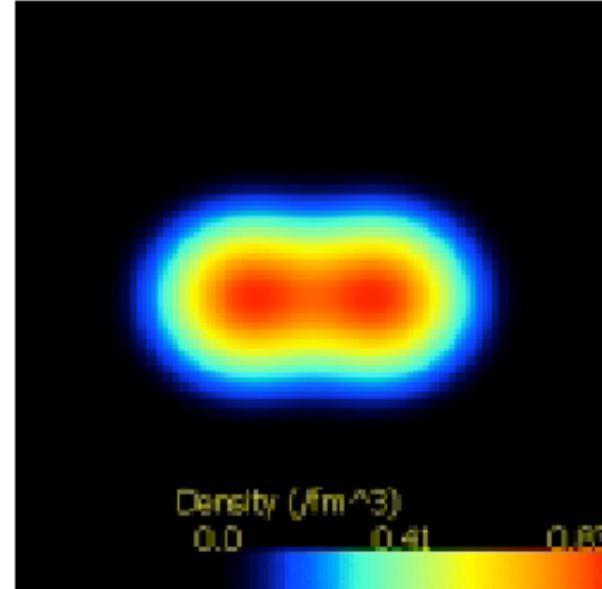
FIG. 1: Calculated density contours of ppnK-. Comparison between (a) usual ${}^3\text{He}$ and (b) ${}^3\text{HeK}^-$ is shown in the size of 7.5 by 7.5 fm. Individual contributions of (c) proton, (d) neutron and (e) K^- are given in the size of 4.5 by 4.5 fm.

Kaonic Be-8: Contracted Alpha Cluster

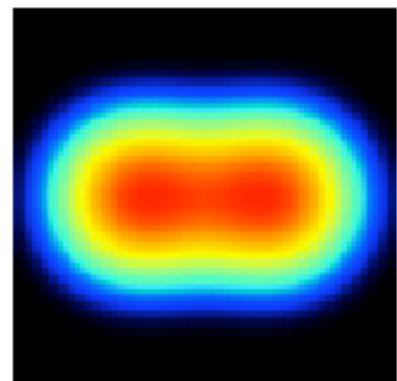
Dote et al. (2002)



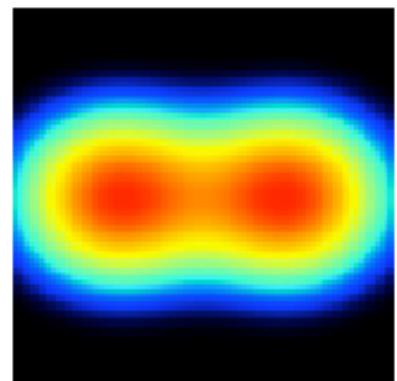
(a) ${}^8\text{Be}$



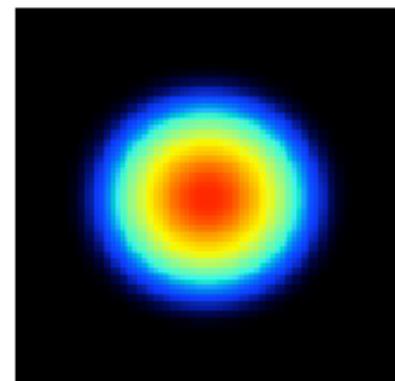
(b) ${}^8\text{BeK}^-$



(c) Proton



(d) Neutron

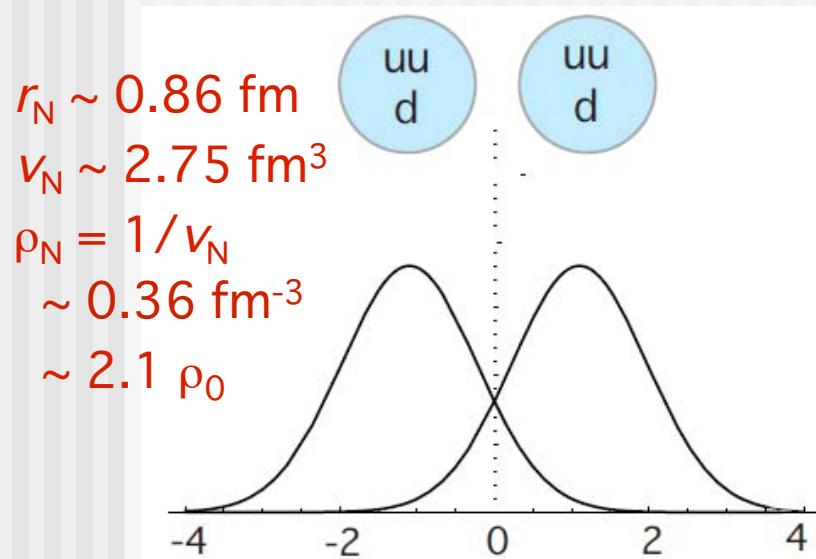


(e) K^-

K^{bar} Nuclear Clusters $\rho_{av} \sim 3 \rho_0 !!$

Why high-density nuclei possible?
Against the nuclear physics "law" of $\rho = \text{const.}$

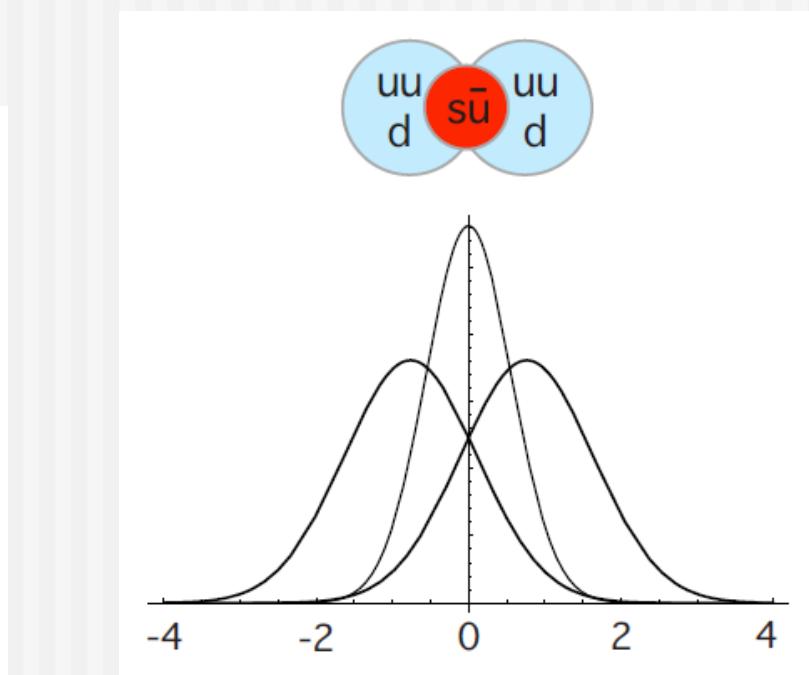
Normally: N-N hard-core:
quark Pauli blocking
+ gluon entanglement



Exceptional:

$K^- = s u^{\bar{b}a}$: no u,d quark:

no Pauli repulsion; strong
attraction in $u-u^{\bar{b}a}$ and $d-d^{\bar{b}a}$

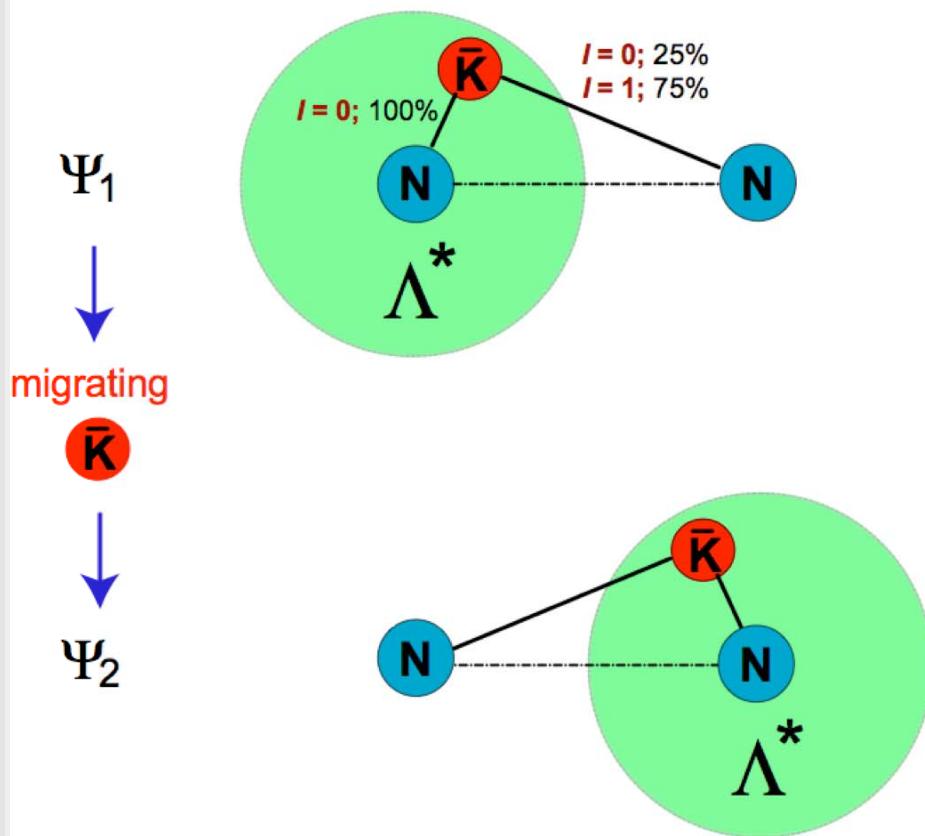


Λ 1405 as an atom

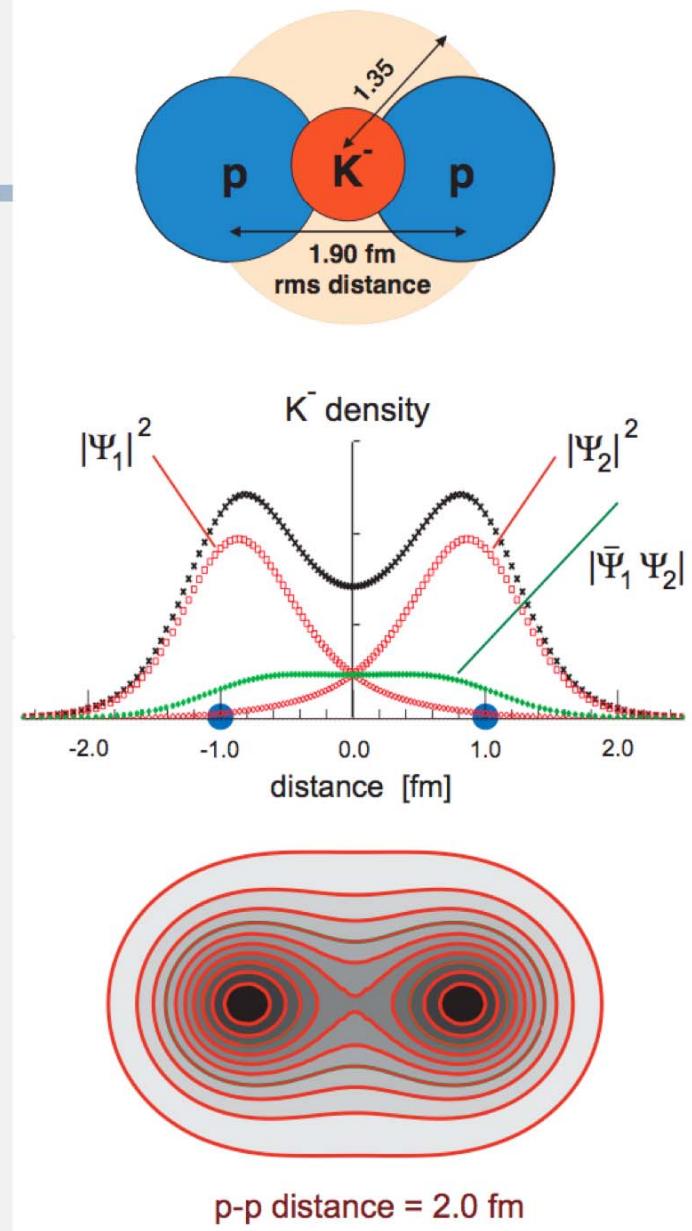
Platzwechsel

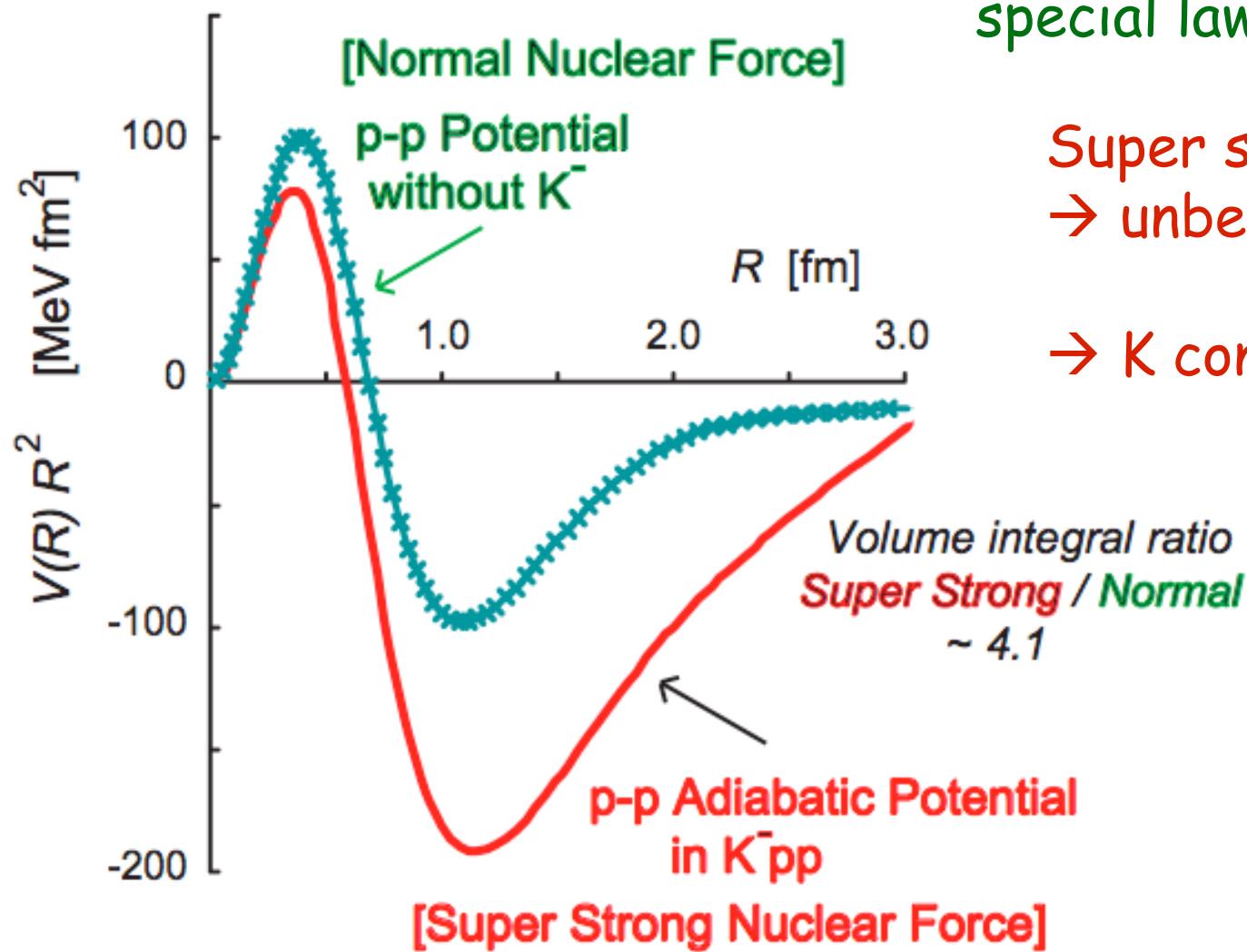
Very large exchange integral

Extended Heitler-London-Heisenberg



Yamazaki-Akaishi PJAB 2007
PRC 2007





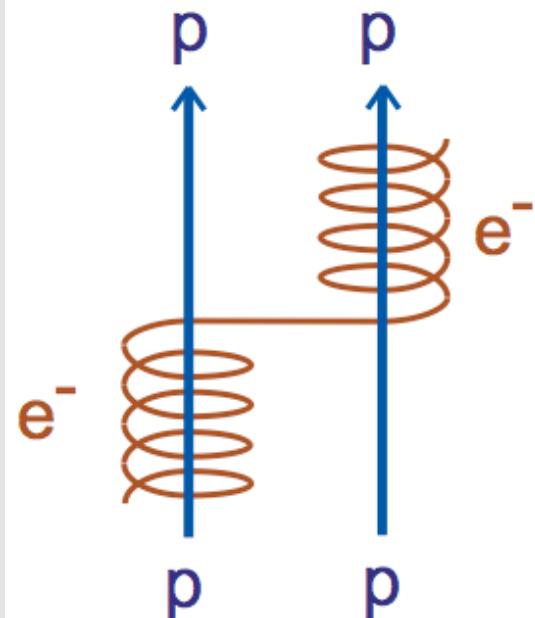
Normal nuclear force
 → normal nuclear density
 density constant-law:
 special law in this society

Super strong n. f.
 → unbelievably high
 nuclear density
 → K condensation

Pionic and kaonic origins of nuclear forces a la K. Nishijima

Molecular

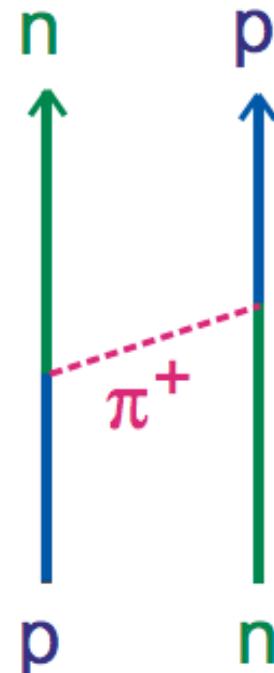
Heitler-London (1927)
Heisenberg (1932)



migrating
real
fermion

Nuclear Force

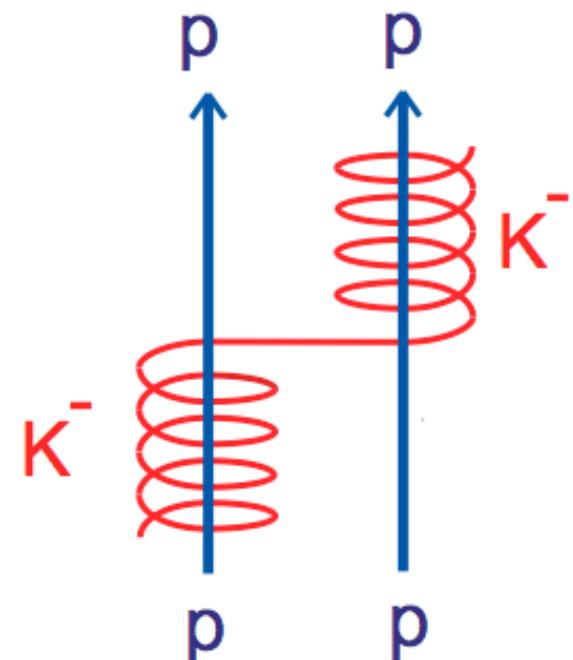
Yukawa (1935)



mediating
virtual
boson

Super Strong Nuclear Force

(2007)

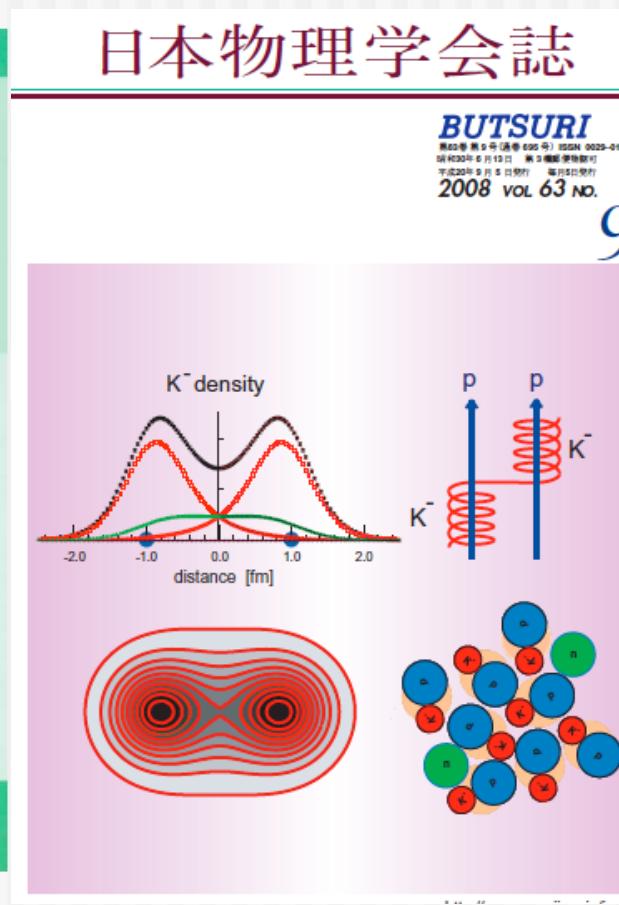
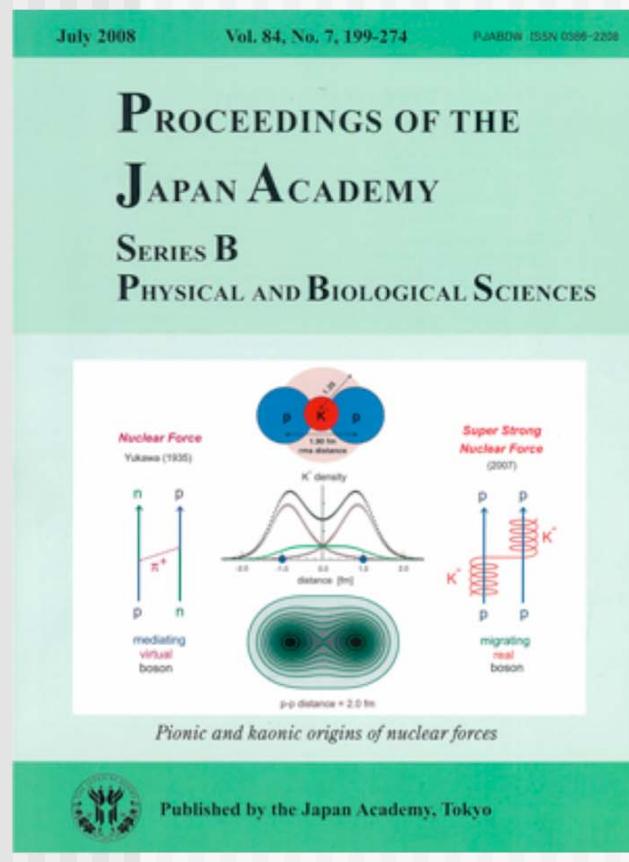


migrating
real
boson

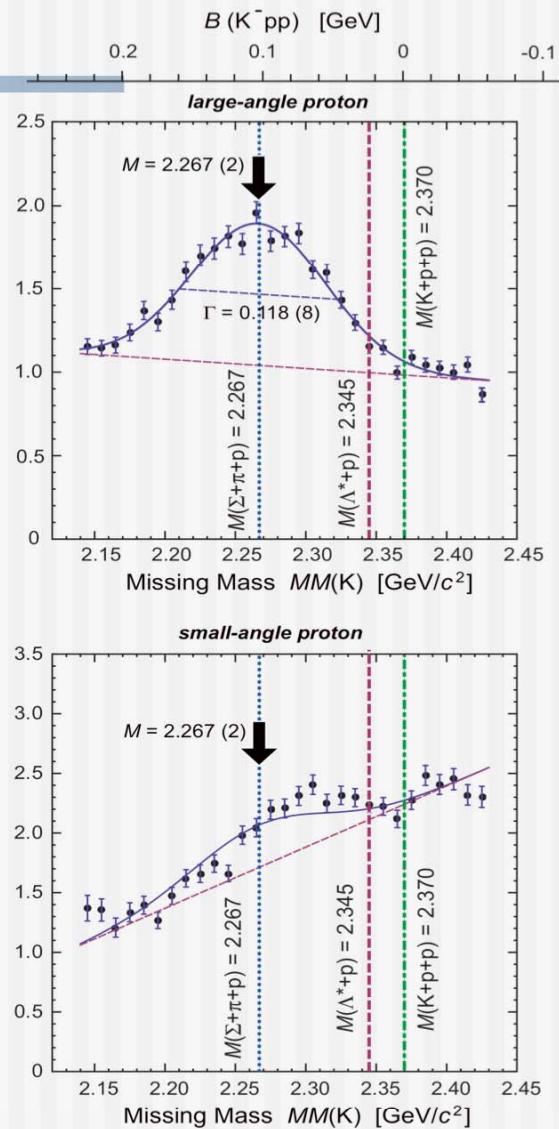
K⁻pp: mini fm molecule

Dense Kaonic Nuclear System

Two cover pages in Japanese journals
showing our super strong kaonic nuclear force



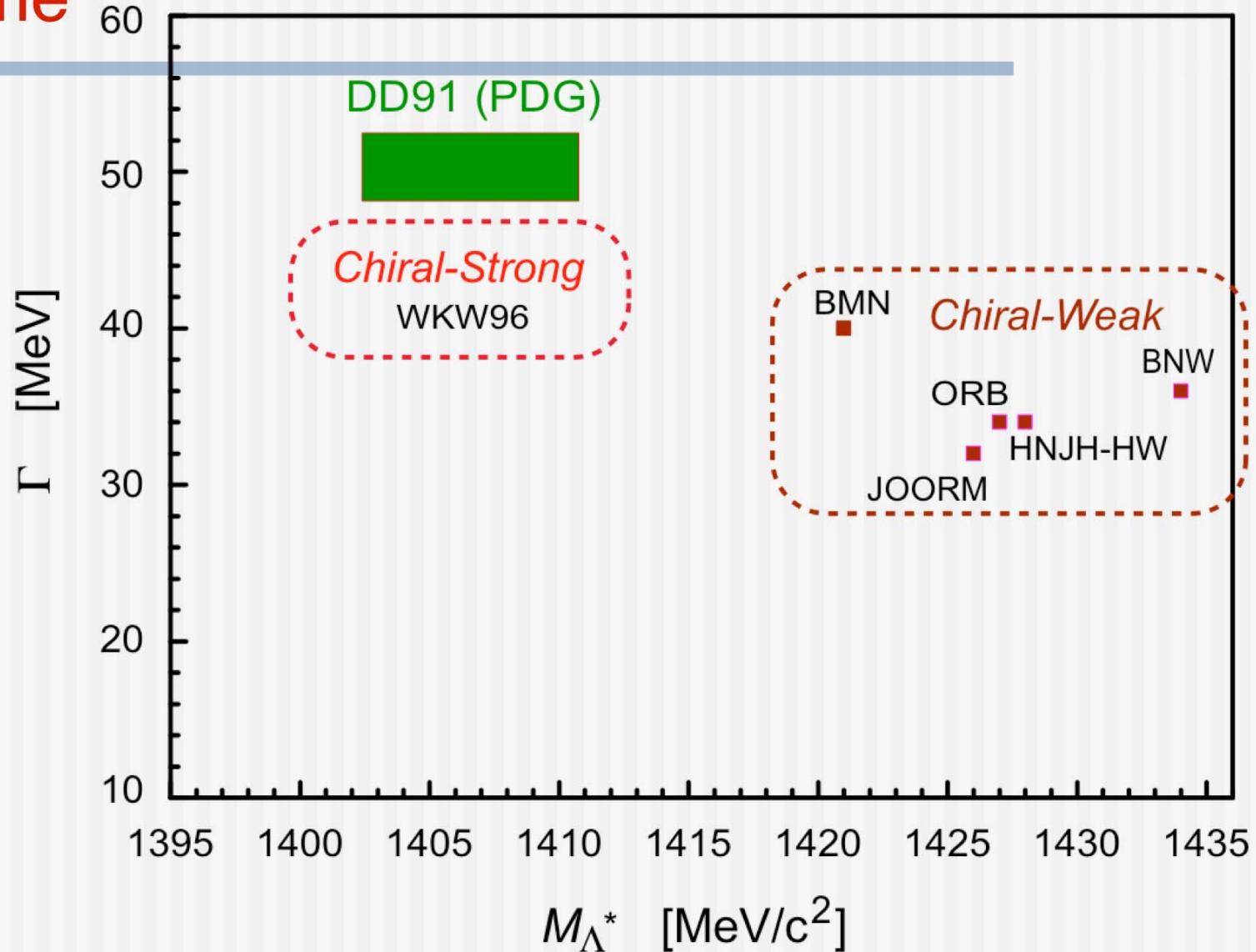
A gigantic peak
observed in
DISTO data

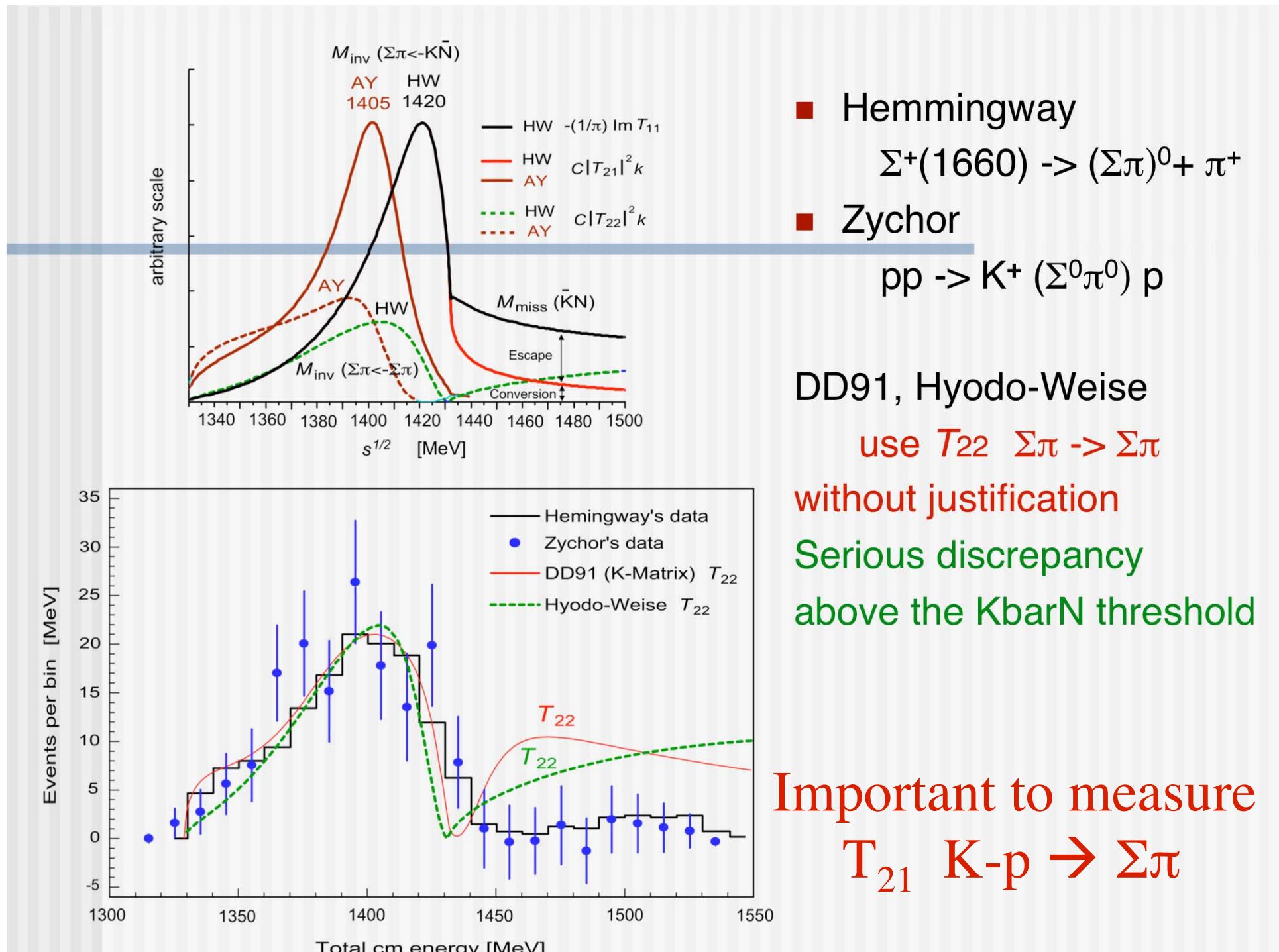


Λ 1405 or Λ^* 1420 ?

Alternative scenario: $\Lambda^*(1420)$

2-pole Ansatz -> shallow and weak binding regime





arXiv: _0906.0505

Experimental confirmation of the $\Lambda(1405)$ Ansatz from resonant formation
of a $K^- p$ quasi-bound state in K^- absorption by ${}^3\text{He}$ and ${}^4\text{He}$

Jafar Esmaili^{*a,b}, Yoshinori Akaishi^{a,c}, Toshimitsu Yamazaki^{a,d}

arXiv:0909.2573

Resonant formation of $\Lambda(1405)$ by stopped- K^- absorption in d

Jafar Esmaili^{*a,b}, Yoshinori Akaishi^{a,c}, Toshimitsu Yamazaki^{a,d}

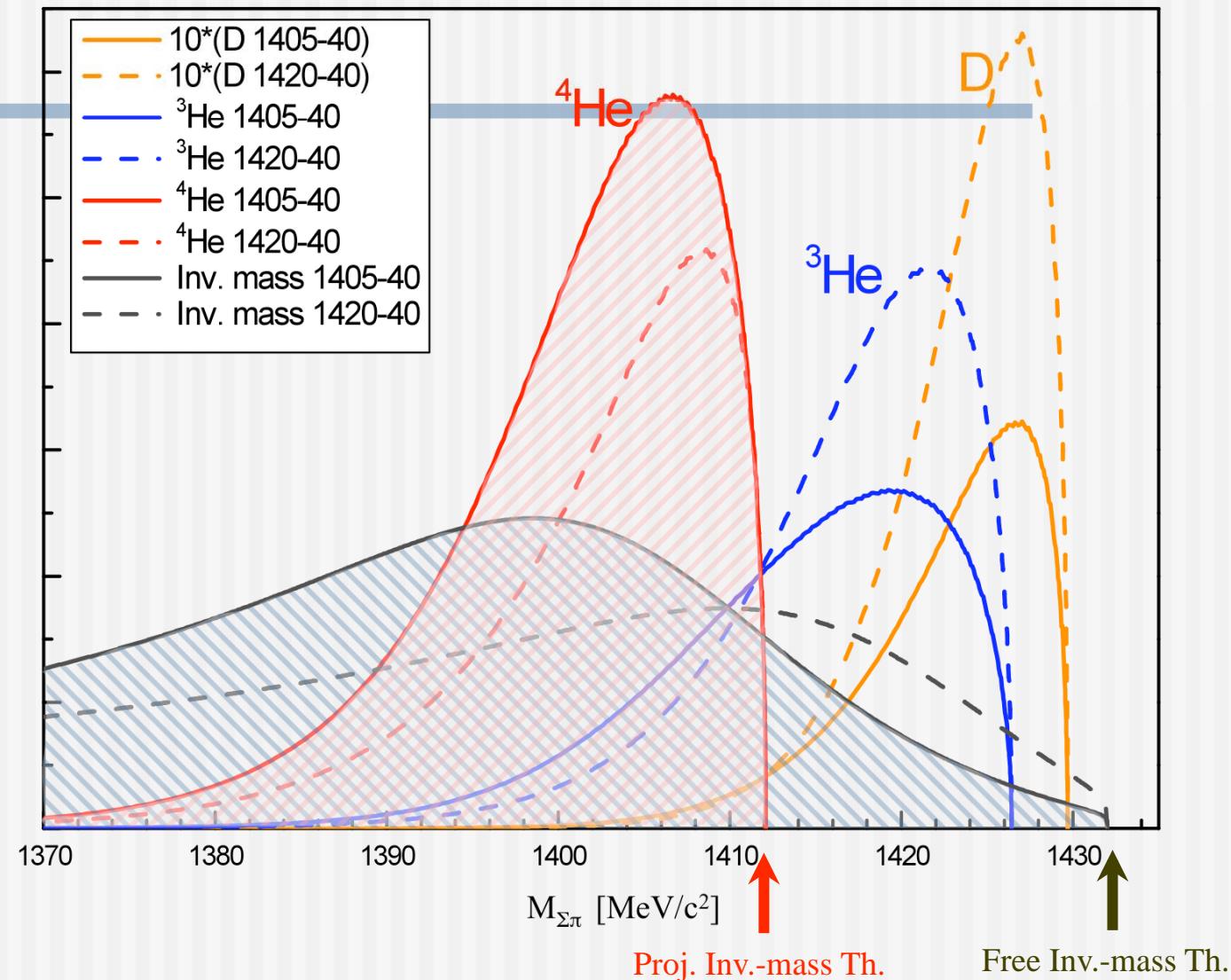
■ Resonant formation (nuclear tuning)

$K^- + "p" \rightarrow \Lambda^* \rightarrow \Sigma + \pi$ governed by T_{21}

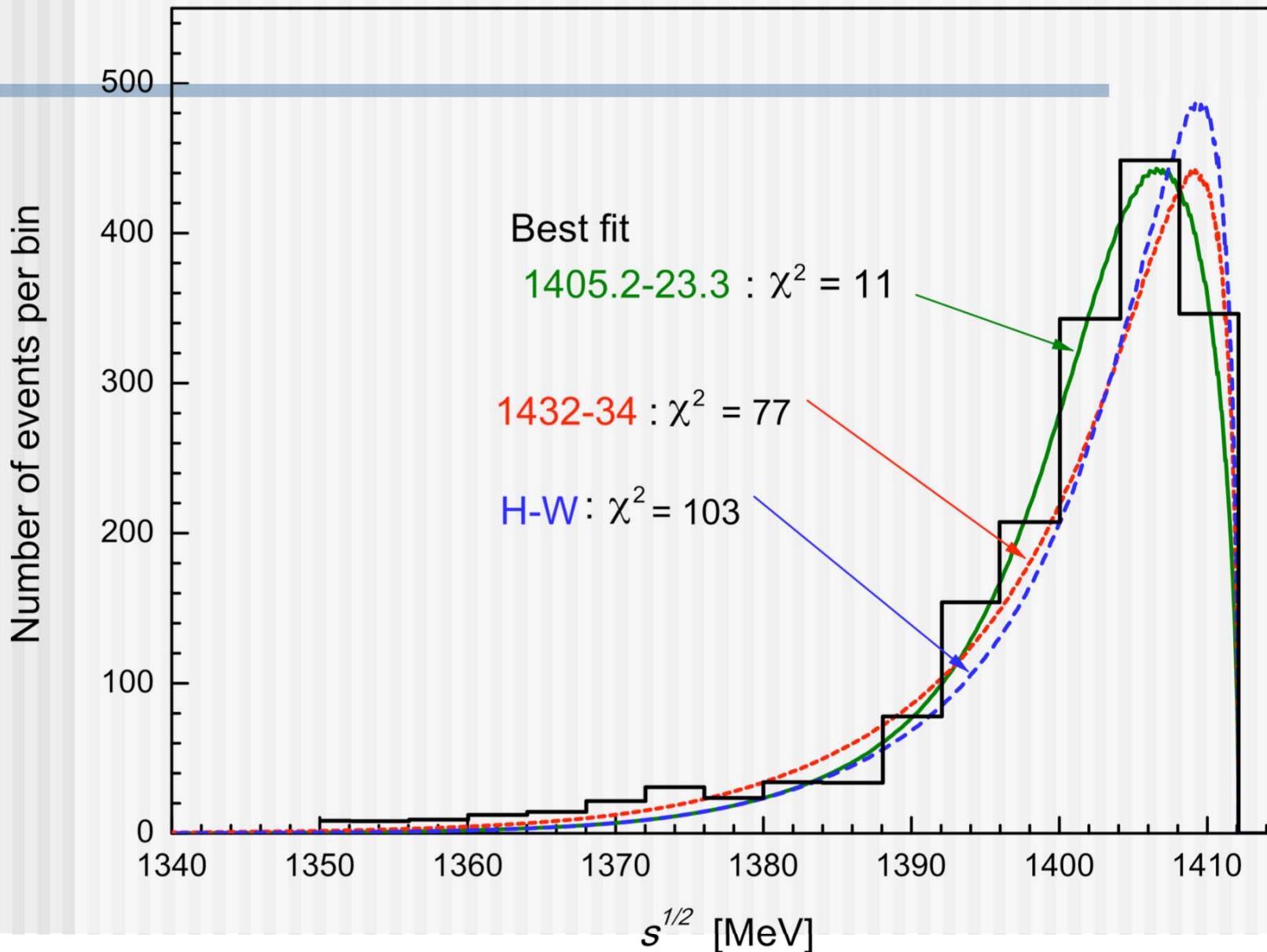
$K^- + "p" \rightarrow \Sigma + \pi$ (quasi-free)

constrained by spectator momentum

$\Sigma\pi$ partial invariant-mass spectra

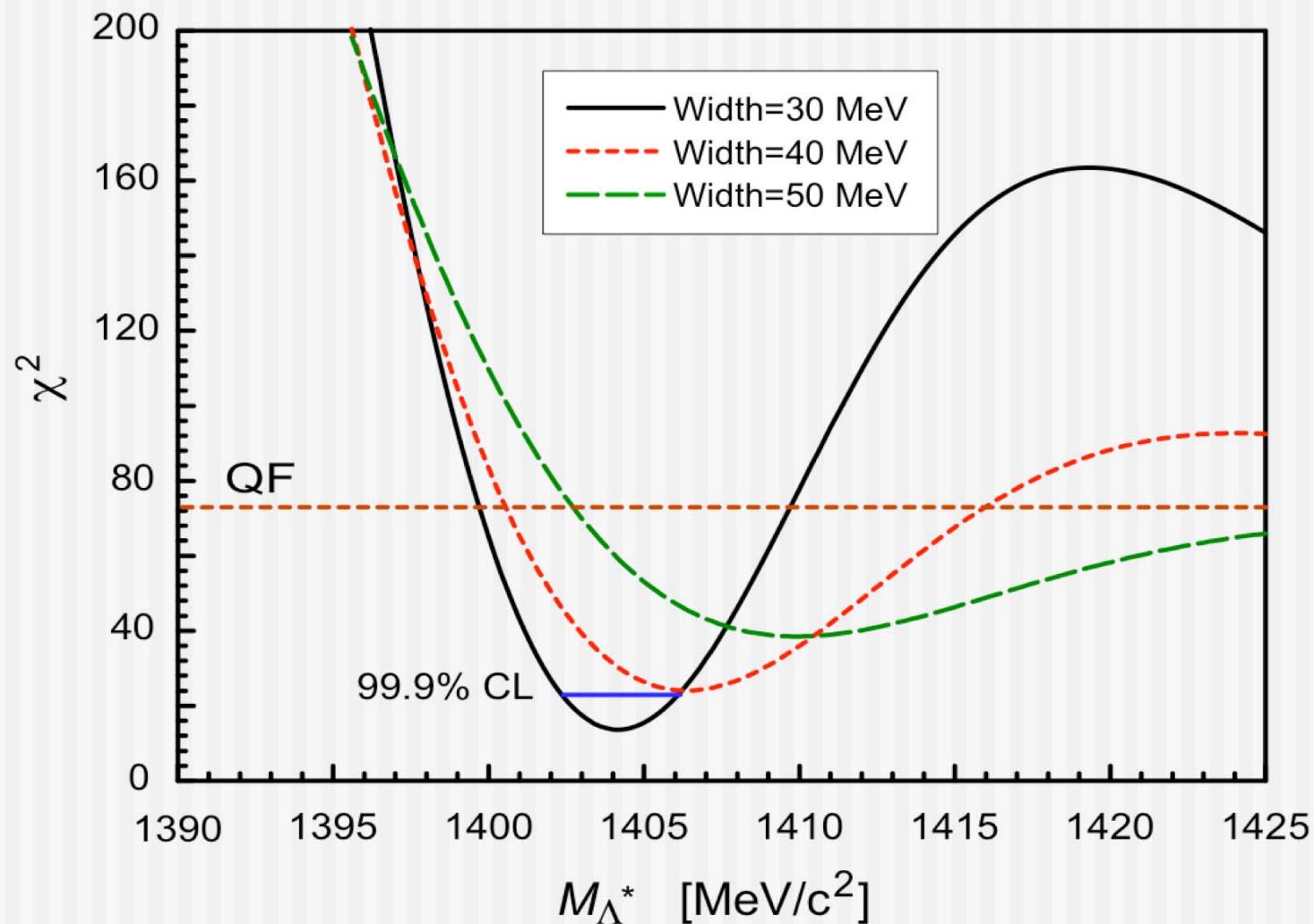


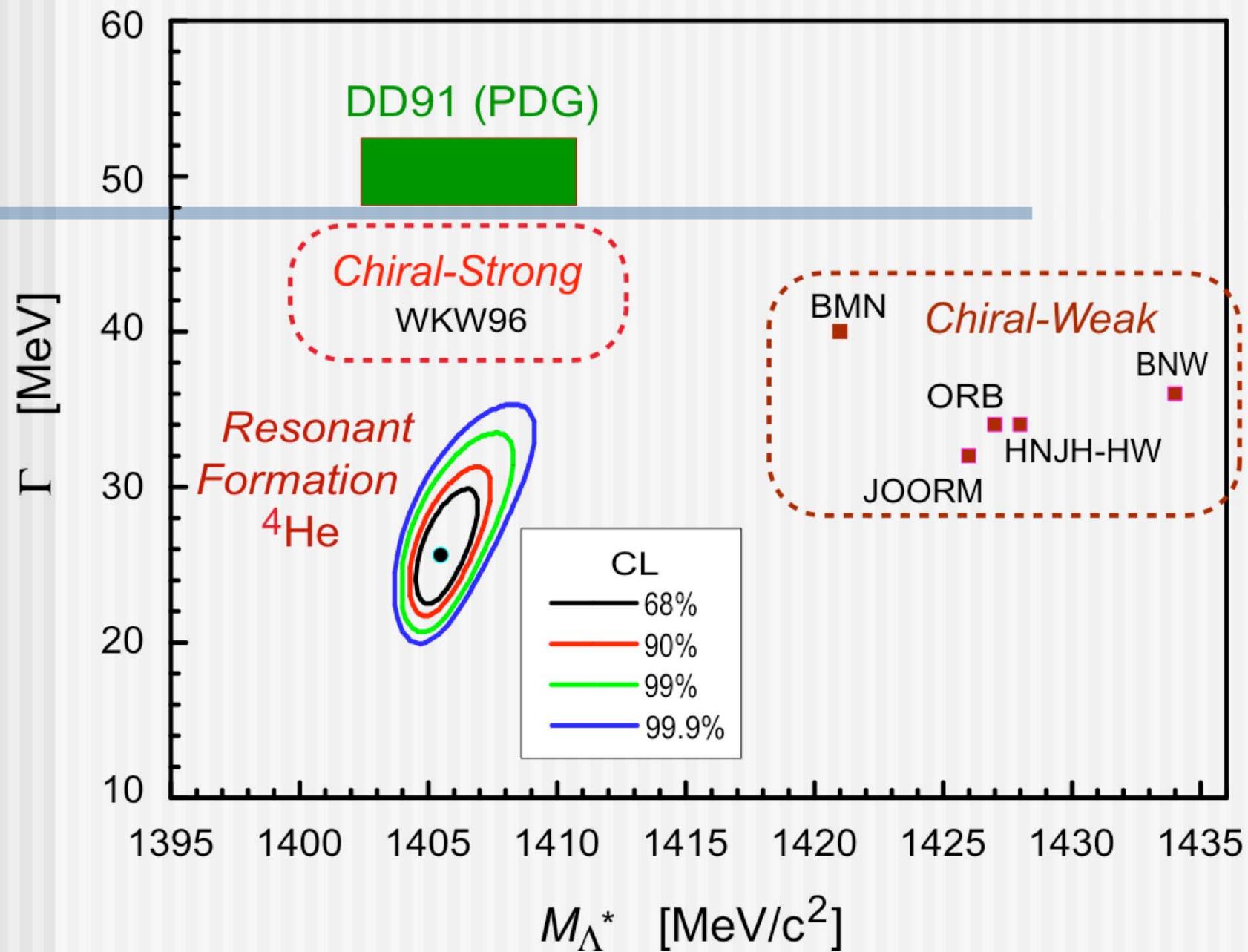
Stopped K⁻ in ⁴He old bubble chamber data



Assumed $(M, \Gamma) \rightarrow K^- p - \Sigma \pi$ coupled system

Statistical analysis of an experimental data

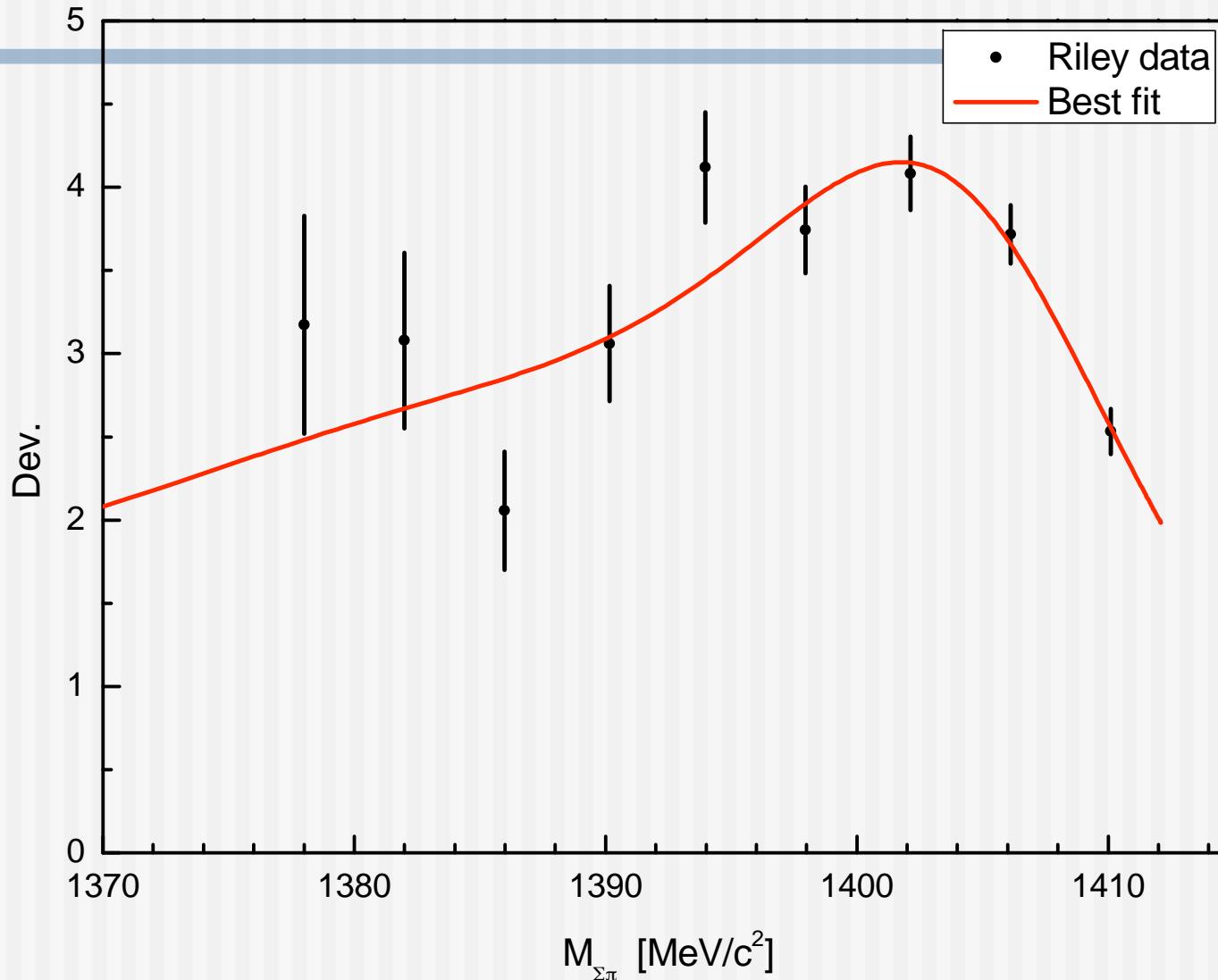




Deviation Spectrum Method

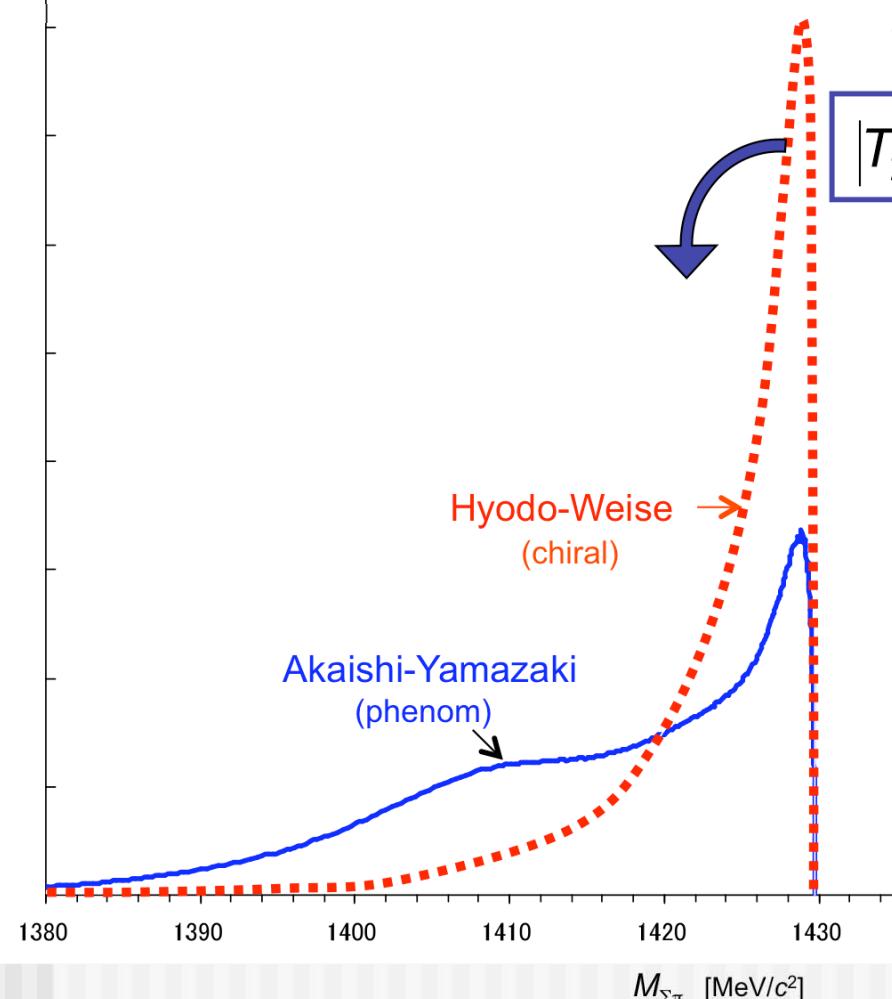
DEV = Realistic spectrum / QF spectrum

10% p-orbit absorption and 10% $\Sigma(1385)$

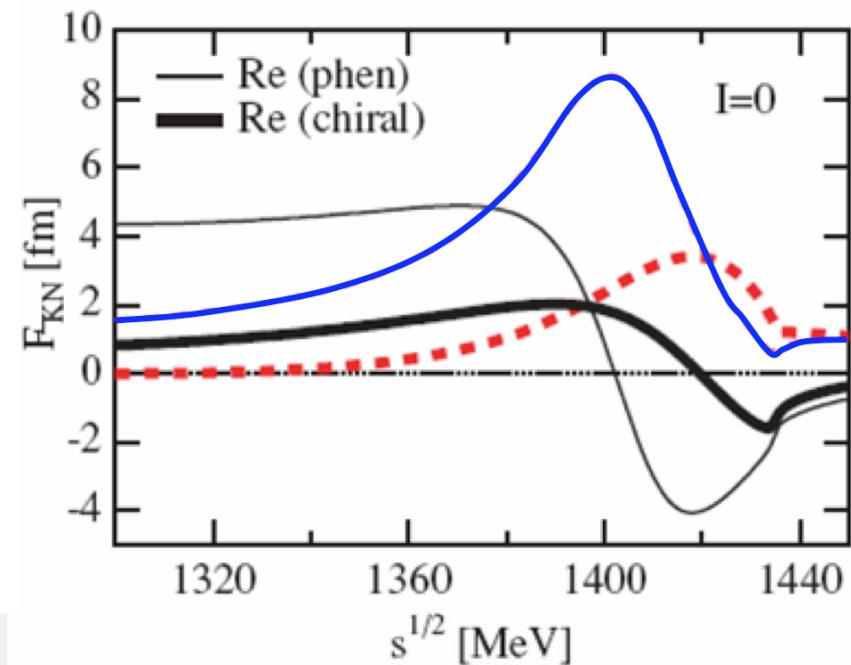


$\Sigma\pi$ invariant-mass spectrum

from stopped K^- on D

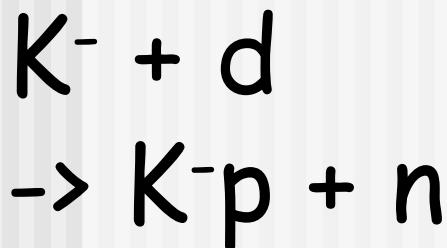


$$\begin{aligned} V^{-1} - G &= T^{-1} \\ |T_{21}|^2 \text{Im } G_2 &= \text{Im } T_{11} \end{aligned}$$

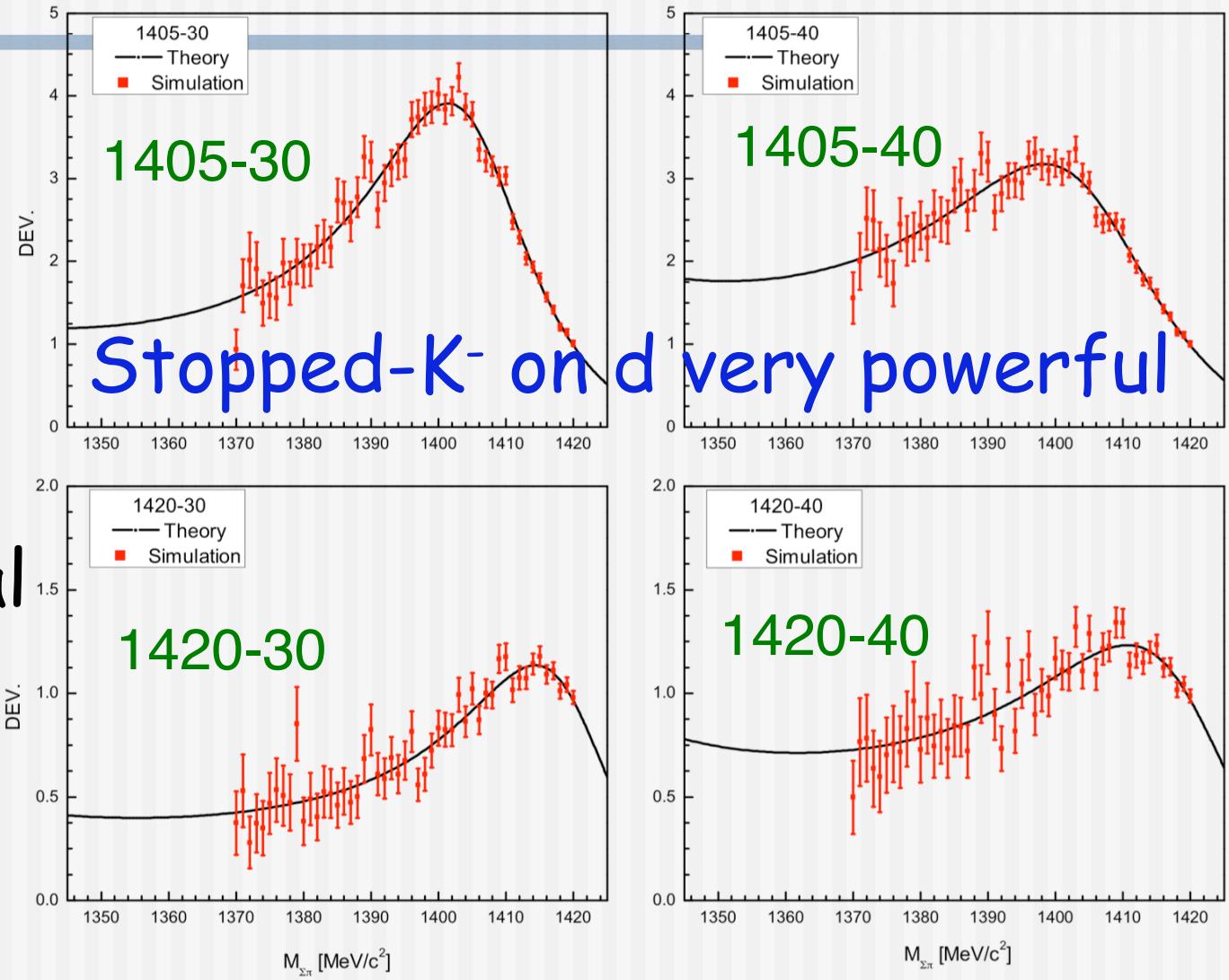


Deviation Spectrum Method

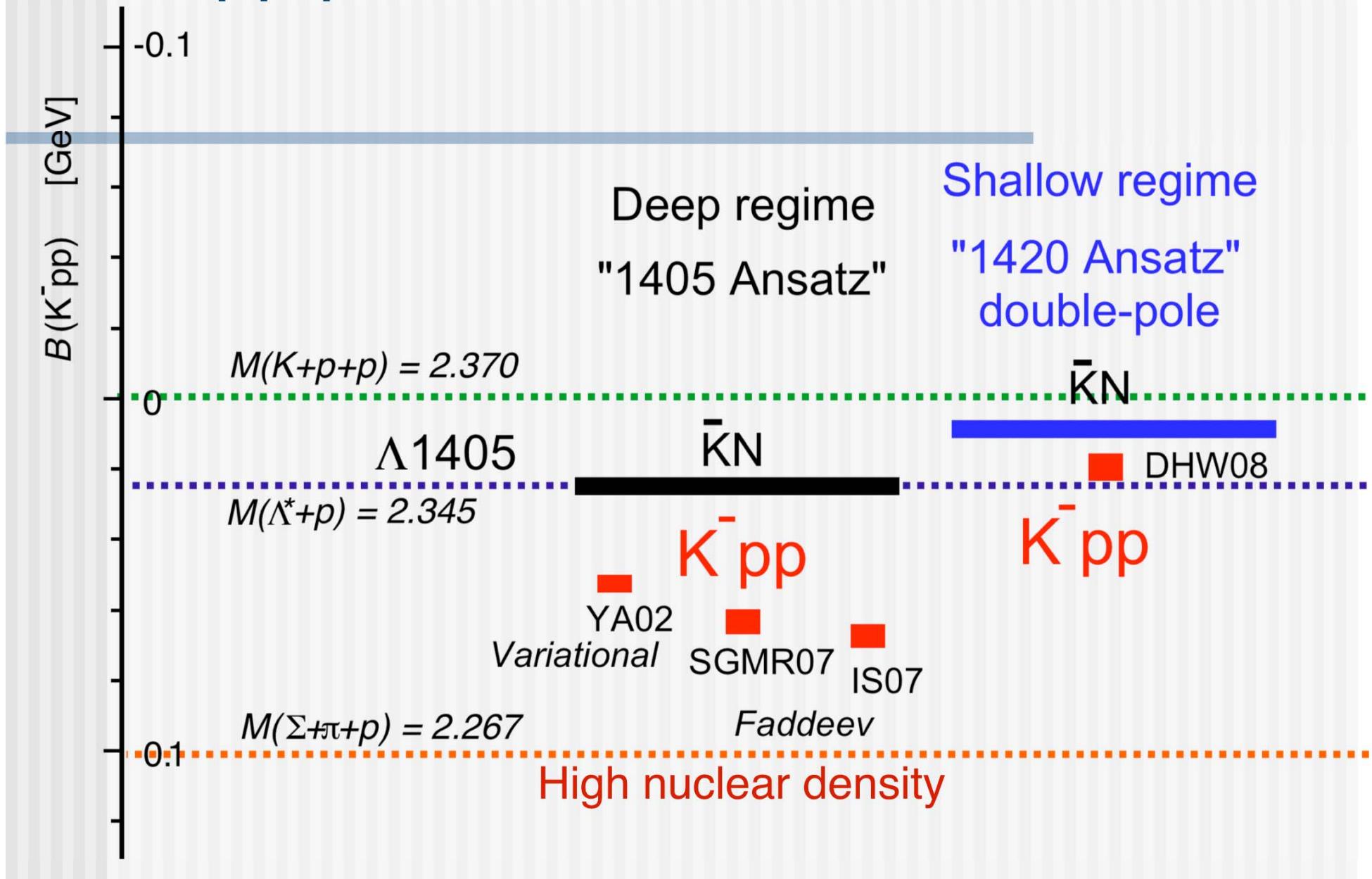
$DEV = \text{Realistic spectrum} / \text{QF spectrum}$



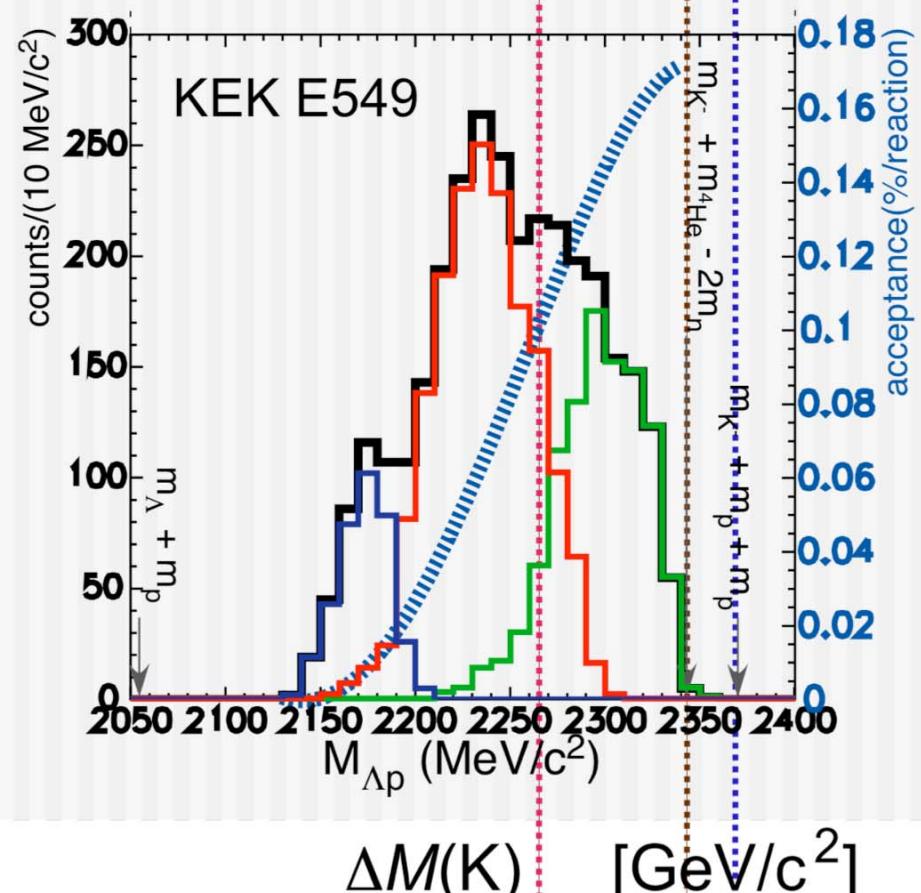
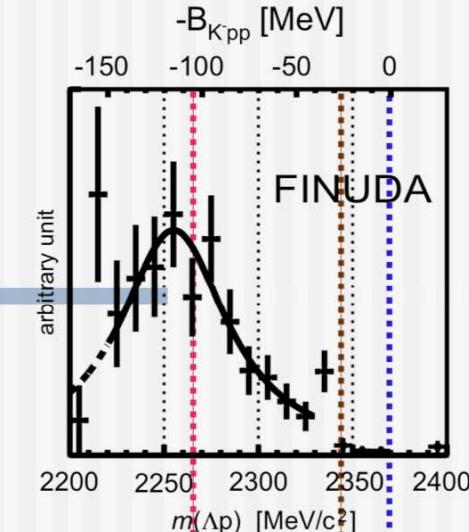
Simulation
+ theoretical



K^-pp prediction



K-pp search



$\Delta M(K)$ [GeV/c²]

Indication of a deeply bound and compact K^-pp state formed in the $p + p \rightarrow p \Lambda K^+$ reaction

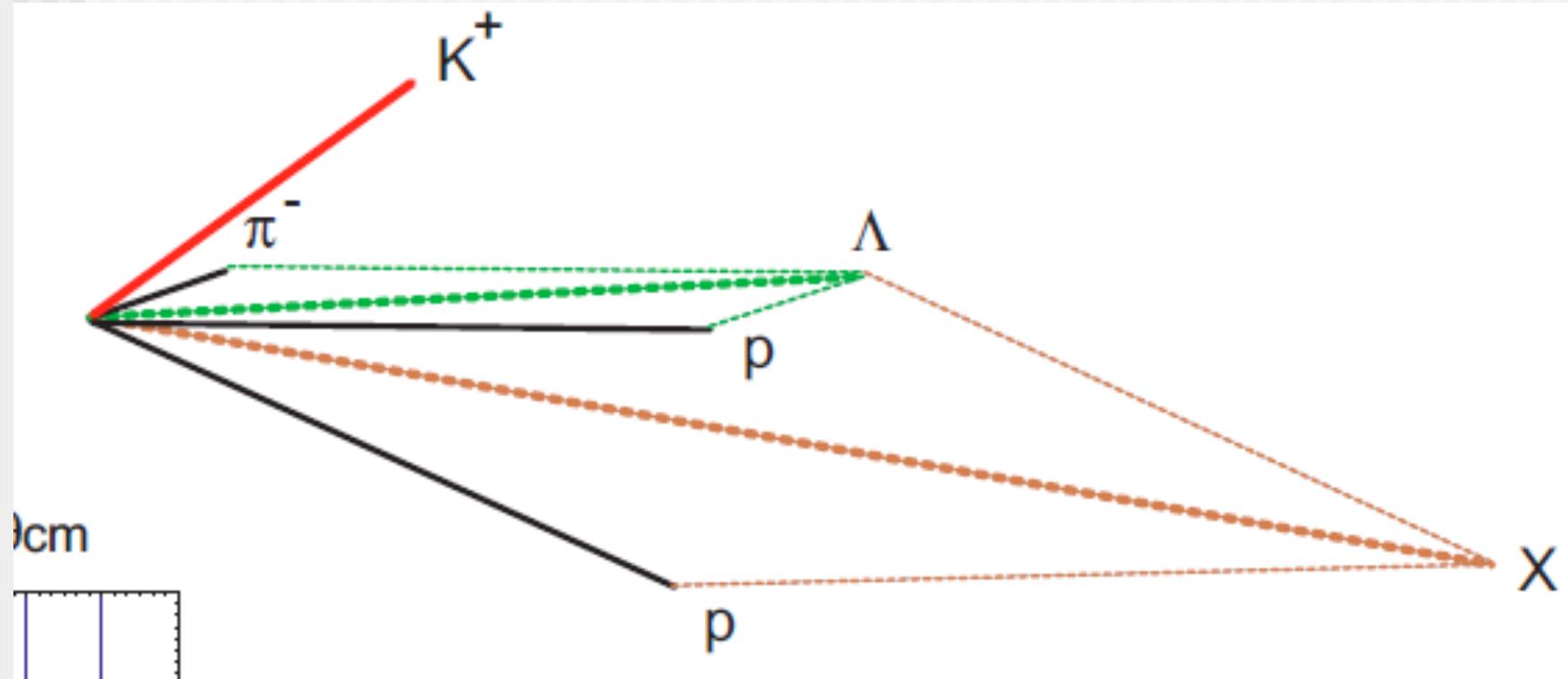
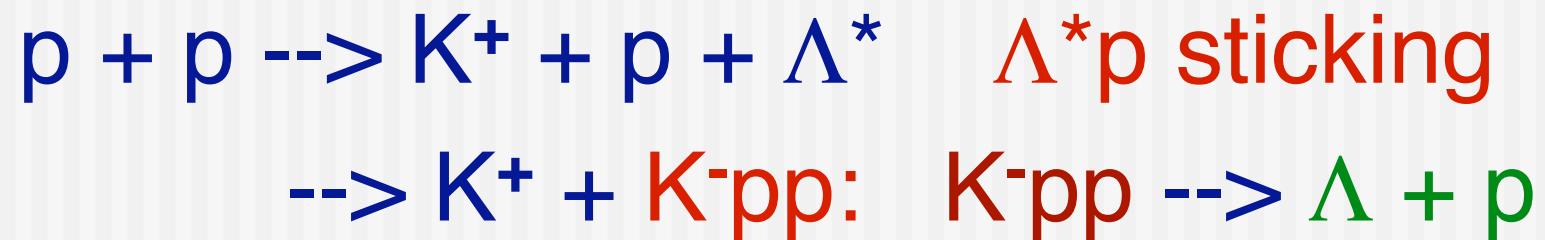
from DISTO data

Now FINAL published in PRL104 (2010) 132502

M. Maggiora for DISTO collaboration,
P. Kienle, K. Suzuki and T. Yamazaki

K-pp formation

How to prove the high density in Kbar nuclei ?



Extraordinary sticking of $\Lambda^* + p$ into $K^- pp$ in pp collision predicted TY-YA PRC76, 2007

** short collision length of pp **If observed in p+p,**

** compactness of $K^- pp$

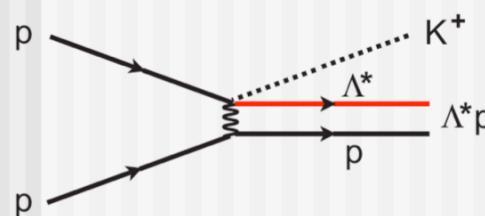
** large momentum transfer

it will demonstrate the compactness of $K^- pp$

(c)

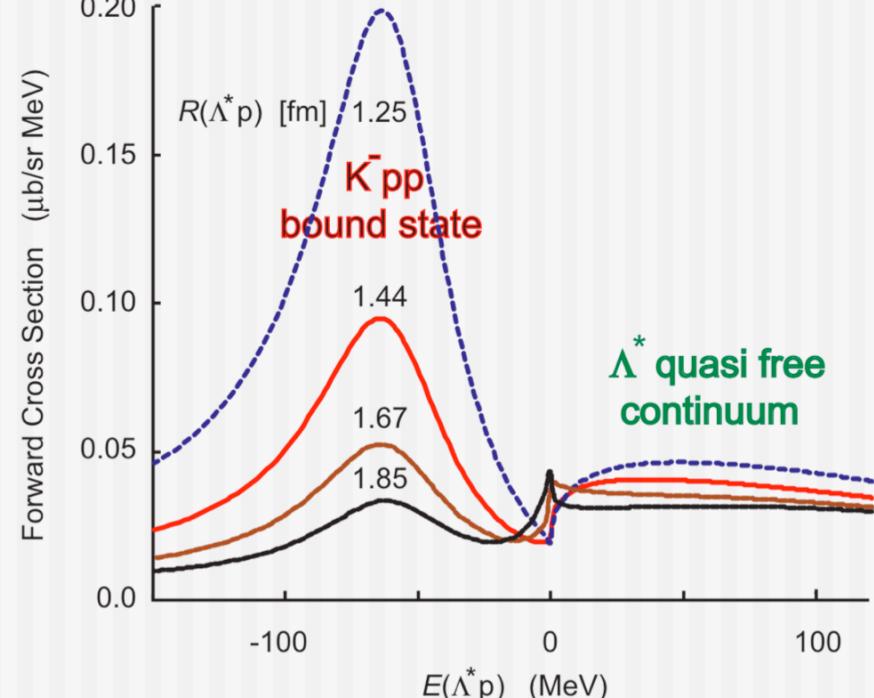
strongly coupled $\Lambda^* p$ doorway

$p p \rightarrow K^+ + \Lambda^* p$
bare $\Lambda^* p \rightarrow$ bound $K^- pp$ **dominant**
 \rightarrow quasi-free Λ^*



(d) $p + p \rightarrow K^+ + p + \Lambda^*$

@4.0 GeV $Q \sim 1.6 \text{ GeV}/c$



DISTO real data

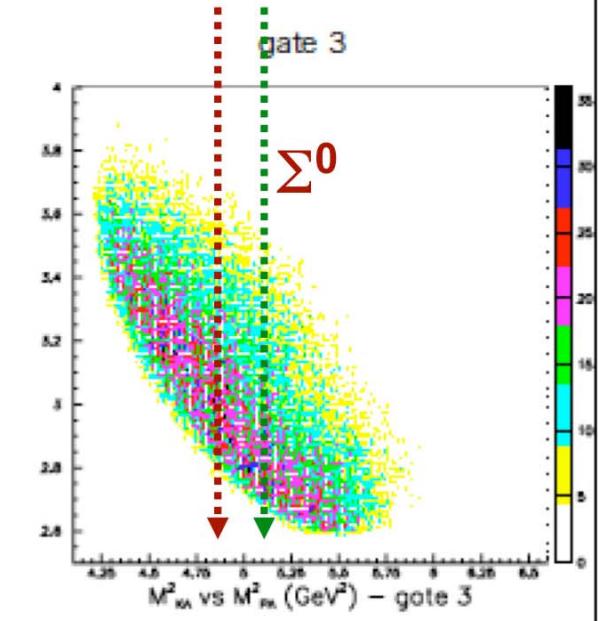
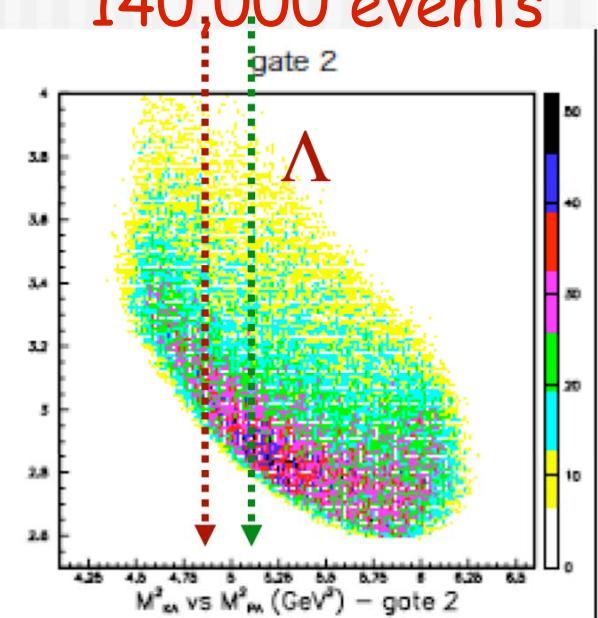
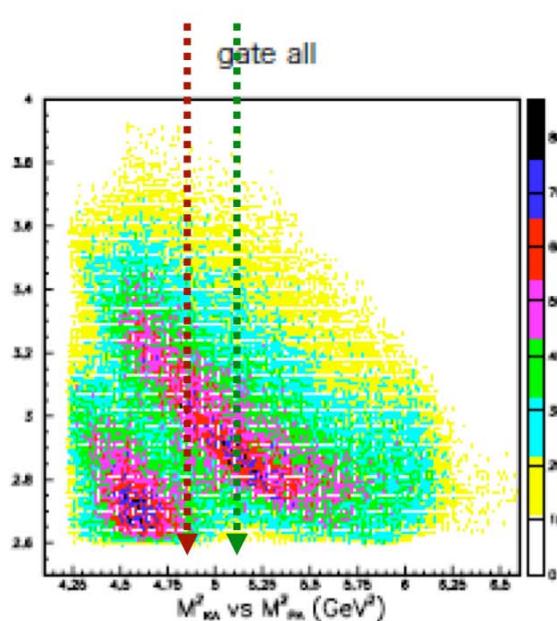
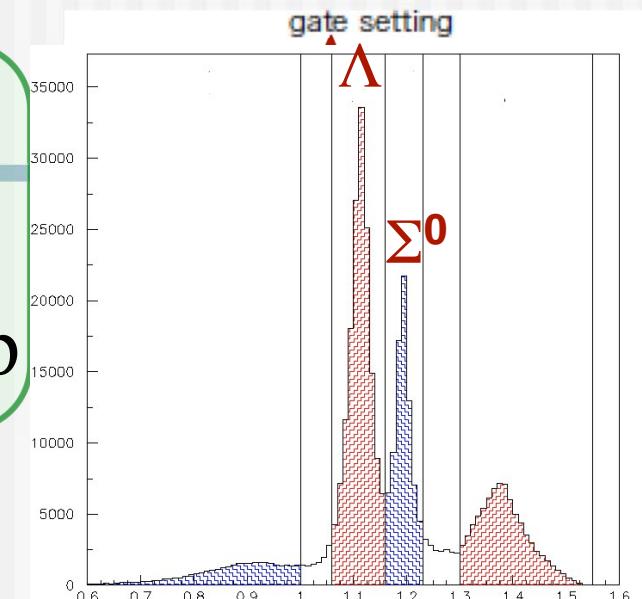
$p+p \rightarrow K^+\Lambda p$
 $\rightarrow K^+ + X$
 $X \rightarrow \Lambda p$

$M M(Kp)$
 $\rightarrow \Lambda, \Sigma^0$

$M^2_{K\Lambda} \text{ vs } M^2_{p\Lambda}$
 $(2.25^2 = 5.06)$
 $(2.30^2 = 5.29)$

Purity of the gate selection >95%

140,000 events



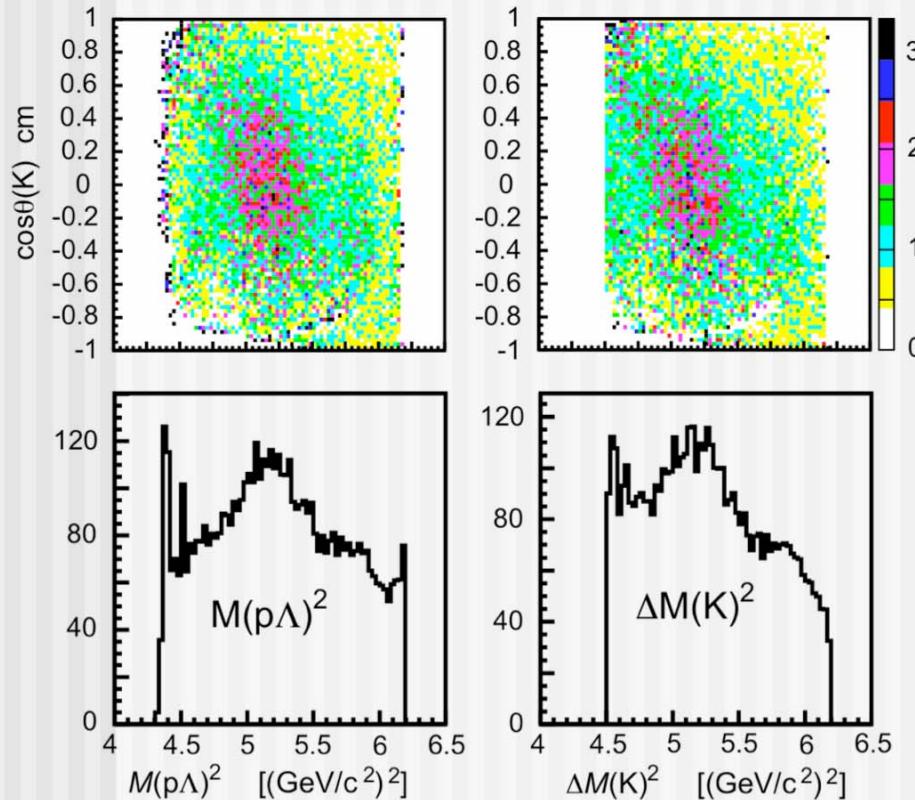
Various proton angle cuts

→ enhance the X peak

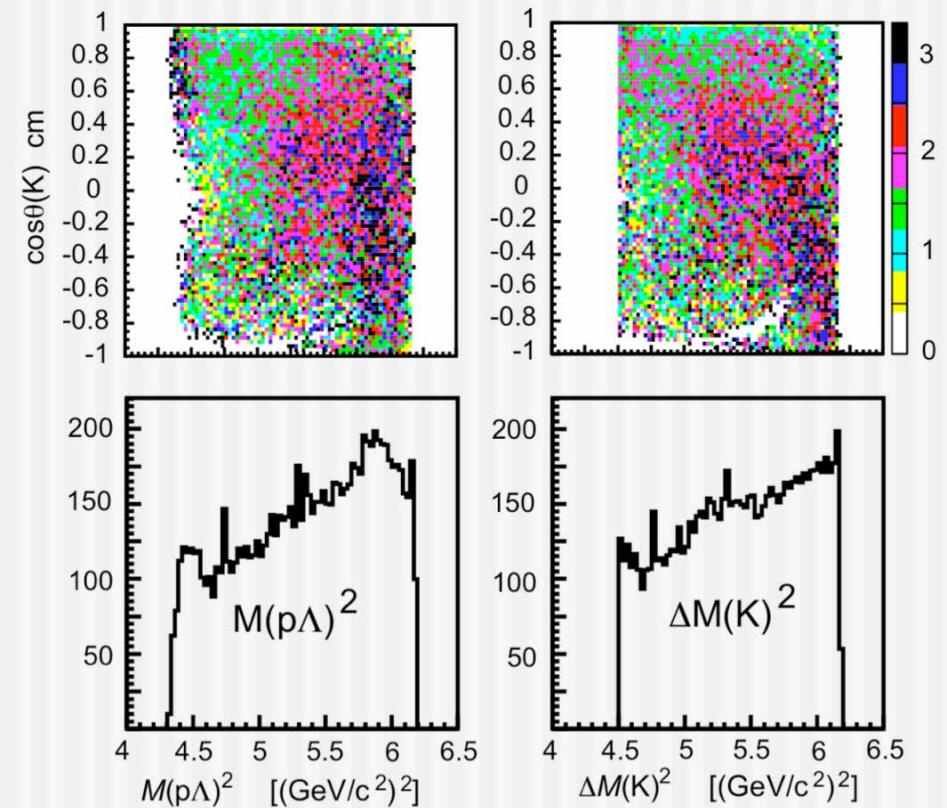
Proton: large angle

proton: small angle

(a) proton cut: large angle

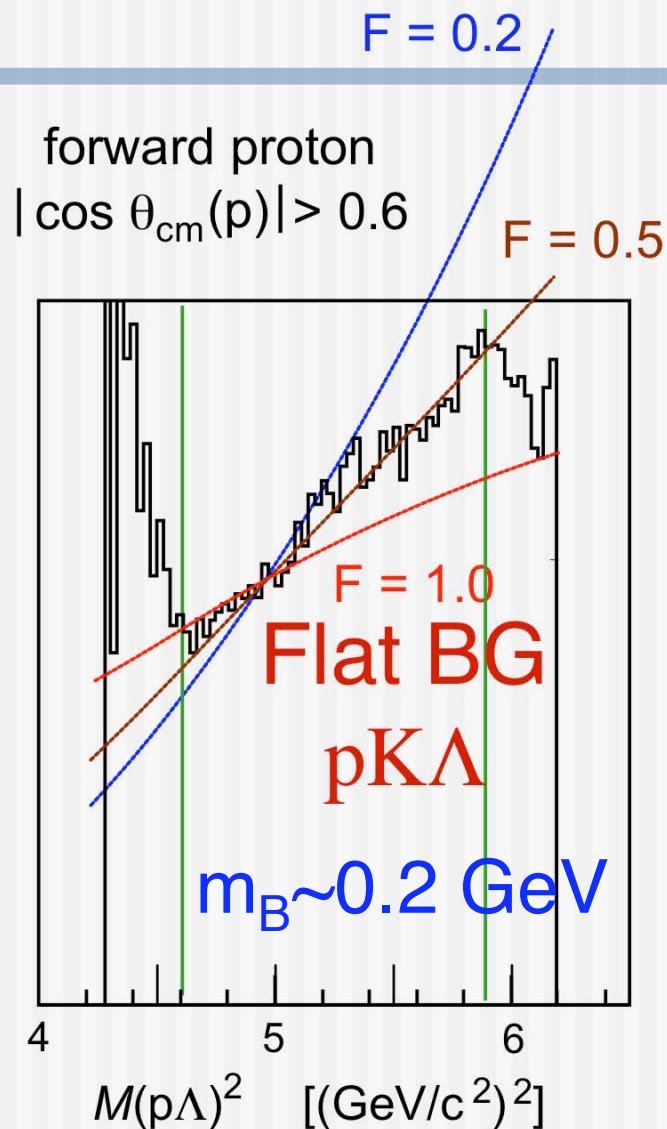


(b) proton cut: small angle

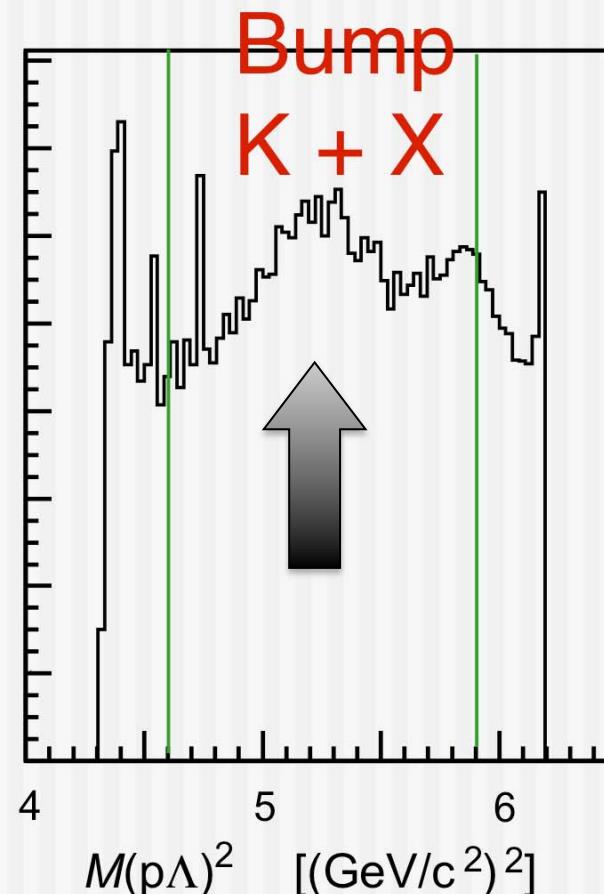


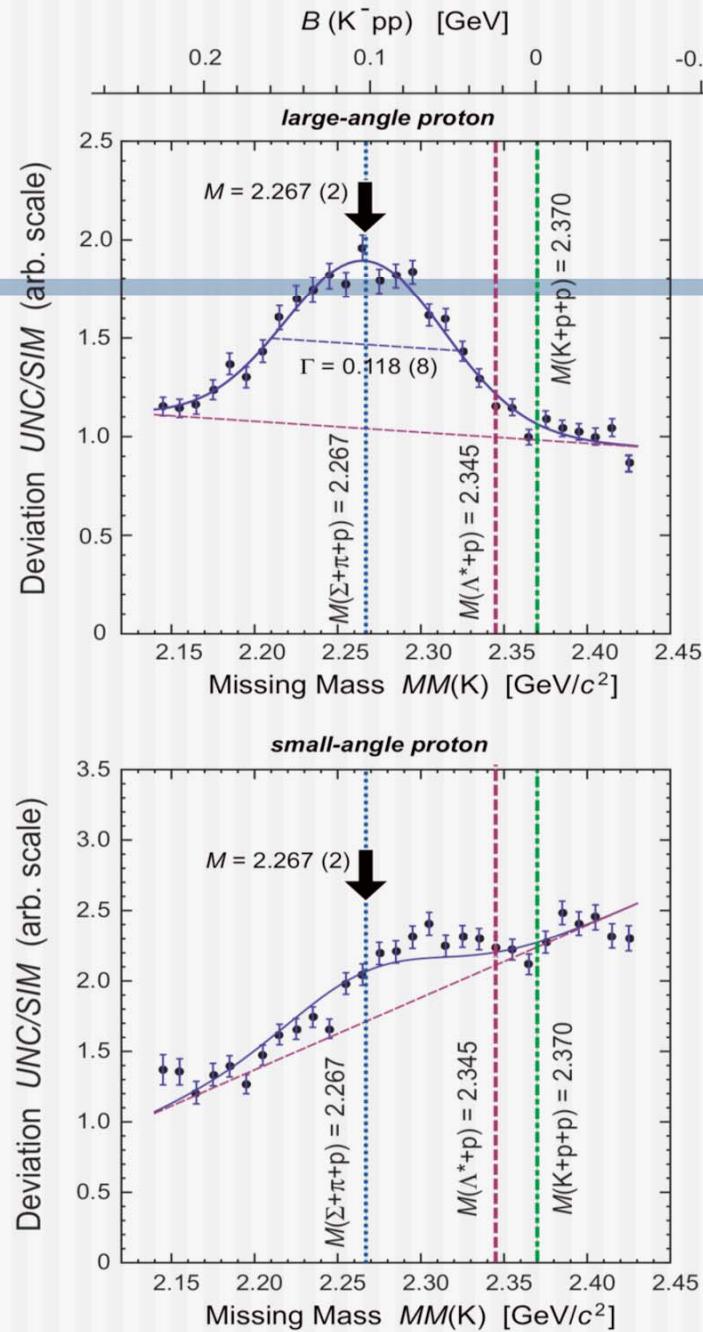
background process $pp \rightarrow p\bar{K}\Lambda$
 collision length = $h/m_B c$, $m_B = m_\rho \times F$

Deviation: Data / Simulation



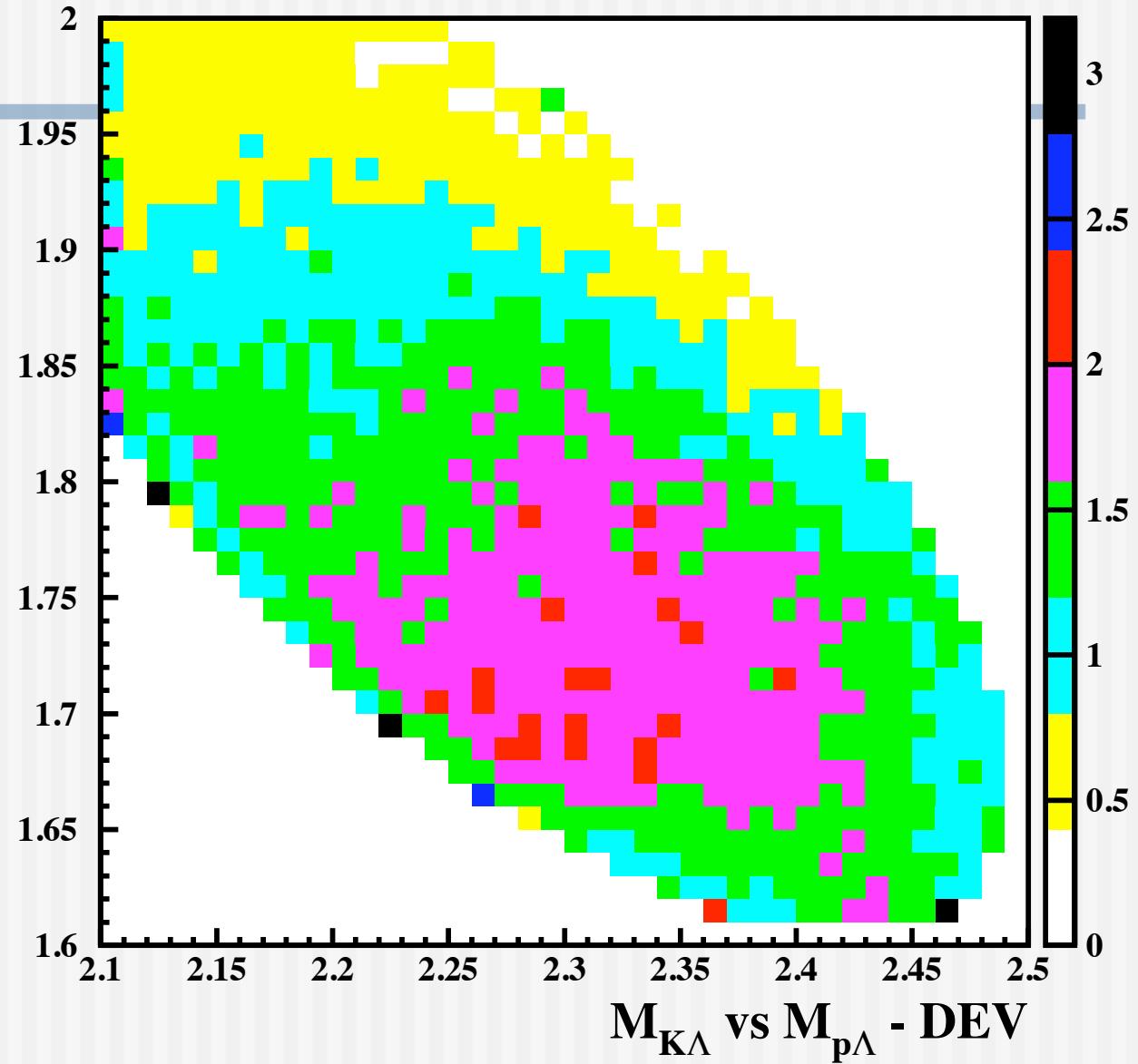
large proton angle
 $-0.6 < \cos \theta_{cm}(p) < 0.6$





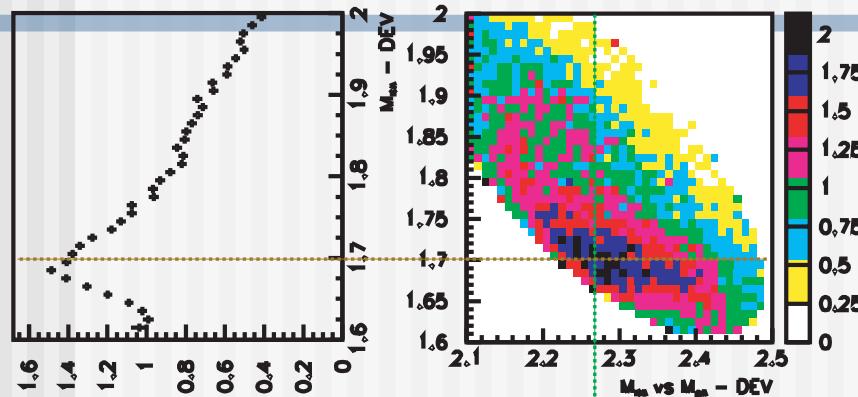
More information: $M(K\Lambda)$

2.85 data - AAP - no $\cos(\theta_{K,CM})$ cut - no $M_{p\Lambda}$ cut

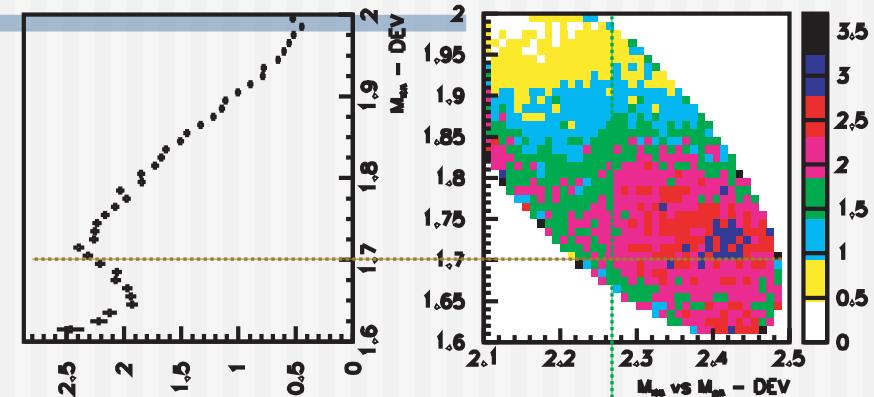


Effect of $N^* \rightarrow \Lambda K^+$

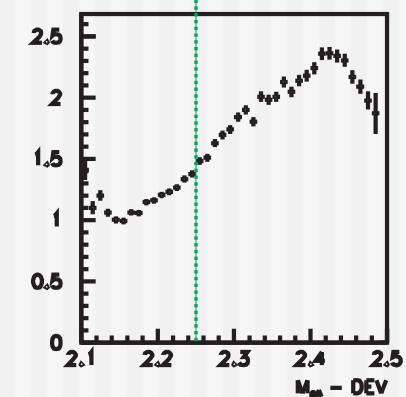
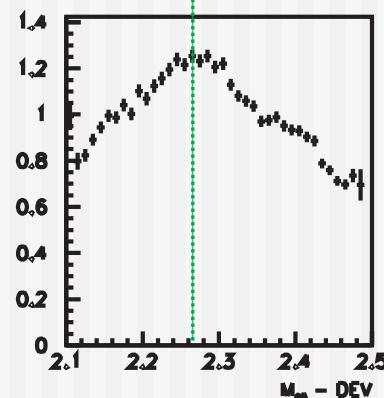
LAP (Large-Angle Protons)



SAP (Small-Angle Protons)

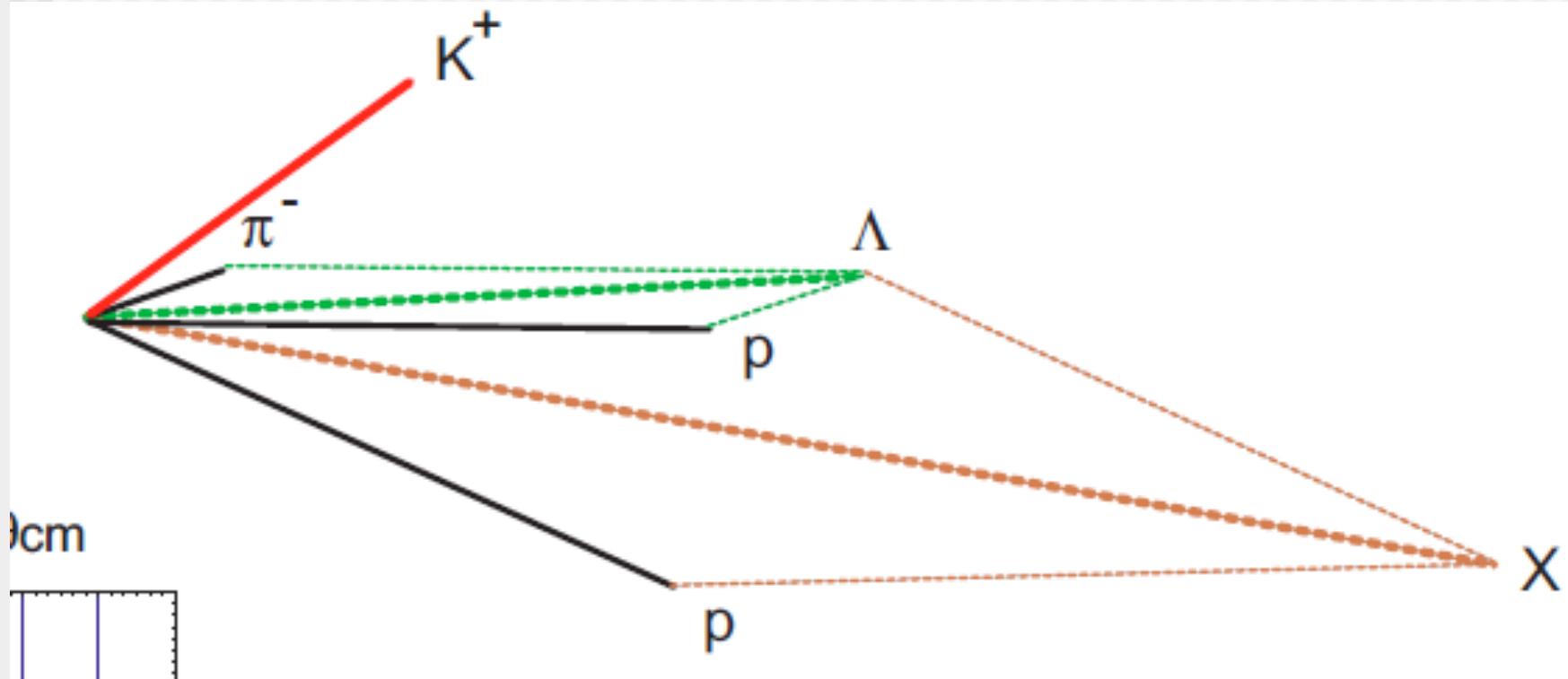


$N^*(1710)$
 $N^*(1720)$



Initial: $pp \rightarrow (K^+\Lambda^*)p \rightarrow K^+ + X$
 $X = K^- pp \rightarrow \Lambda p$

FSI: $pp \rightarrow N^*p \rightarrow (K^+\Lambda)p \rightarrow K^+(\Lambda p)$



Presence of a peak
26 σ significance

$$M = 2.267 \pm 0.002$$

$$\Gamma = 0.118 \pm 0.008$$

with peak

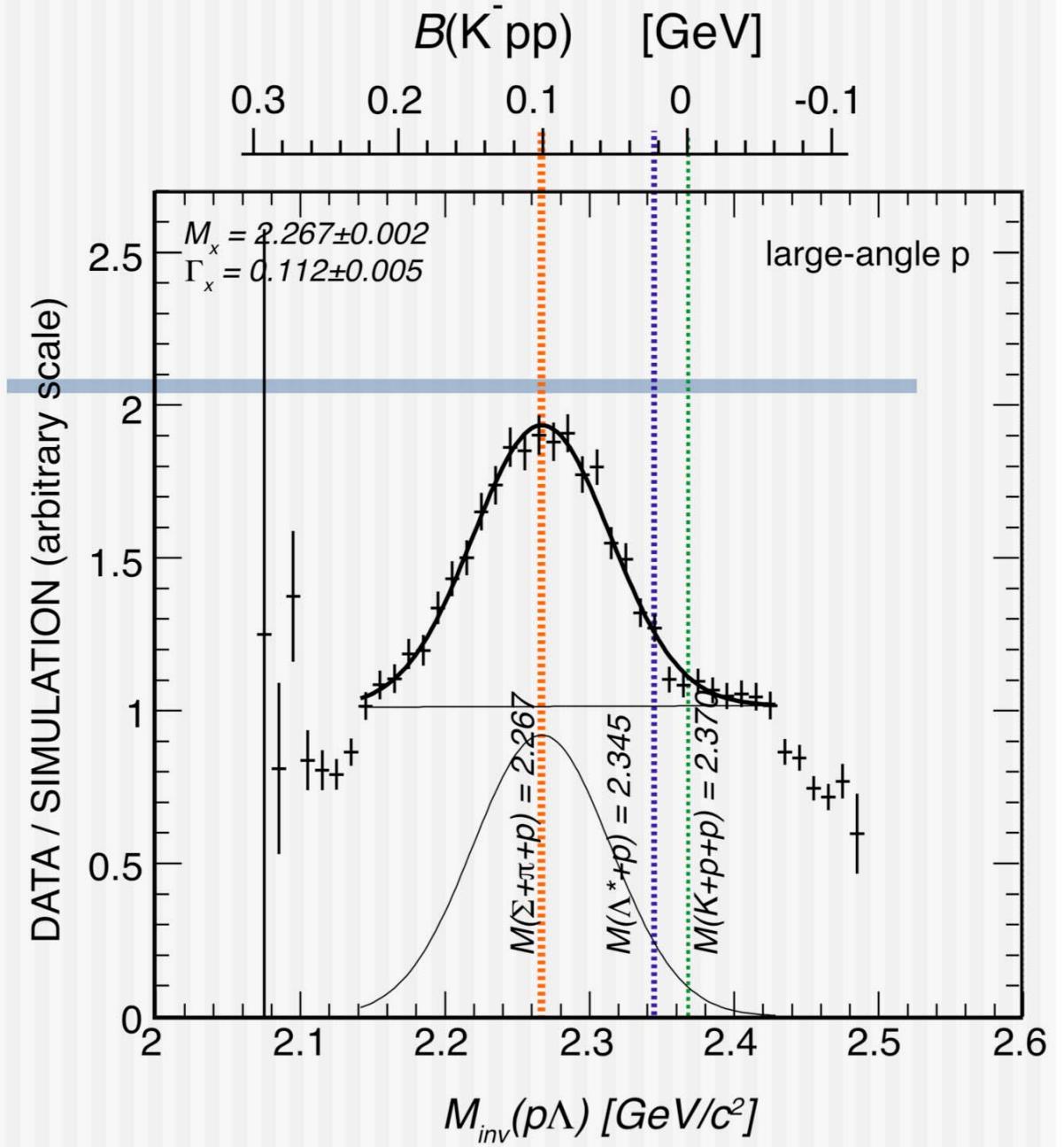
$$\chi^2 / \text{ndf} = 34/24 = 1.4$$

without peak

$$\chi^2 / \text{ndf} = 947/27 = 35$$

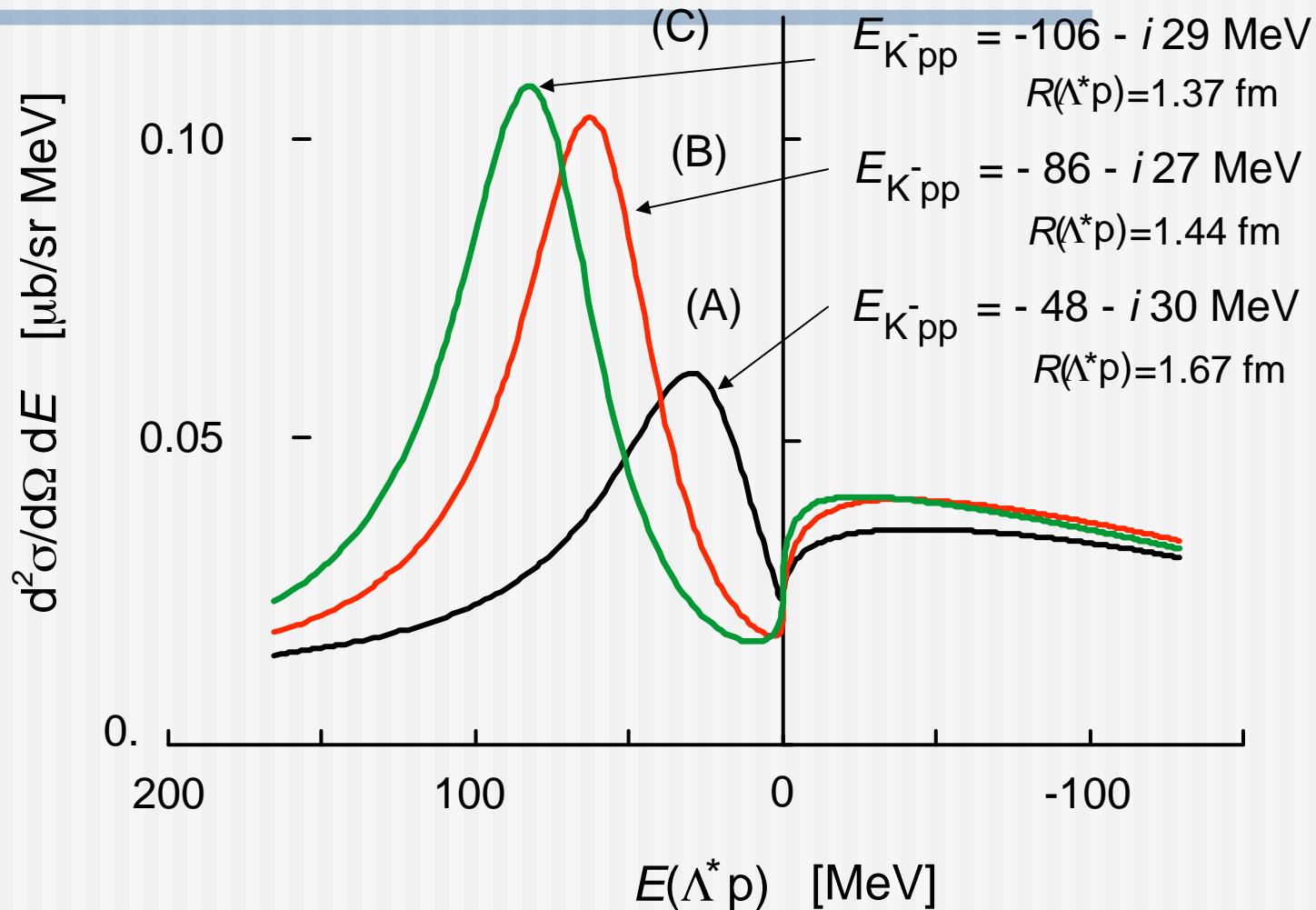
overwhelmingly high
statistical confidence

Symmetric shape
→ Λp dominance



TY-YA_PRC76 (2007) 045201

$p+p \rightarrow K^- pp + K^+ @ T_p = 3.0 \text{ GeV}$



Conclusion

1. A robust peak observed in $pp \rightarrow K^+ + p + \Lambda$
deviation spectra of both $M(p\Lambda)$ and $\Delta M(K)$
2. Presence of K^-pp established with
 $B_K = 105 \pm 2 \text{ MeV}$, $\Gamma = 118 \pm 5 \text{ MeV}$
in agreement with the **deep regime**
not with the shallow regime
3. Peak / continuum ~ 0.1 ; $\Lambda_{1405} / \Lambda \sim 0.1$
 \rightarrow extraordinary sticking $X / \Lambda_{1405} \sim 1$,
as predicted
proving **$K^-pp \rightarrow$ strongly bound, dense system**

Decay processes

- $\Gamma(\Sigma\pi p) \sim 40 \text{ MeV} \rightarrow$ reduced because of the phase space reduction $\rightarrow < 20 \text{ MeV}$
- Non-pionic decays dominate

T. Sekihara, D. Jido and Y. Kanada-En'yo: Phys. Rev. C79 (2009) 062201,

$$\Gamma \sim \Gamma(\Lambda p) + \Gamma(\Sigma p) \sim 22 \text{ MeV}$$

- $\Gamma_{\text{obs}} \sim 100 \text{ MeV}:$
enhancement by higher density ?

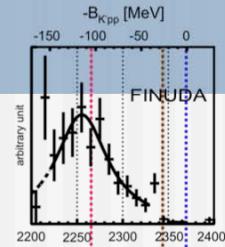
Symmetric shape at the $\Sigma\pi p$ threshold

Many theoretical questions

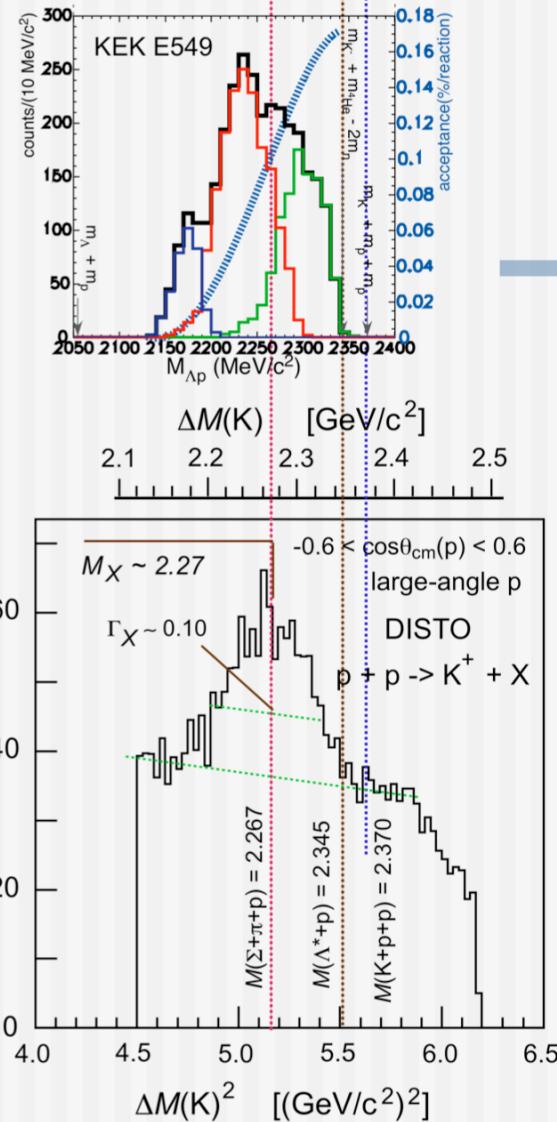
Perspectives

Experimental & theoretical
studies encouraged

FINUDA



KEK



- ** pp \rightarrow K Σ^0 p
- ** Dedicated pp experiment FOPI, HADES
- expanded mass range
- ** Dedicated ${}^3\text{He}(K^-, N)$ at J-PARC
- ** Stopped K- KEK, FINUDA, AMADEUS
- ** proton, HI reactions
- ** Many theoretical problems

Even deeper binding

New physics beyond:

** p-wave $\bar{K}N$ interaction → Wycech

** Chiral symmetry restoration

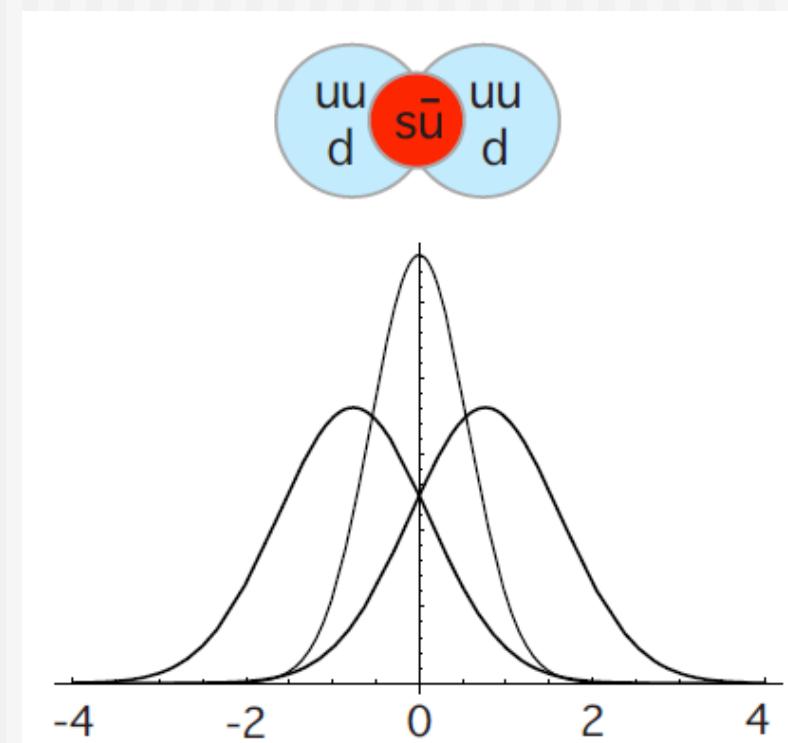
$f_K \rightarrow f_{K^*}$ decrease ?

** N-N short-range barrier
diminished by K^-

$uud - uud$

with intruding $U_{\bar{K}}$

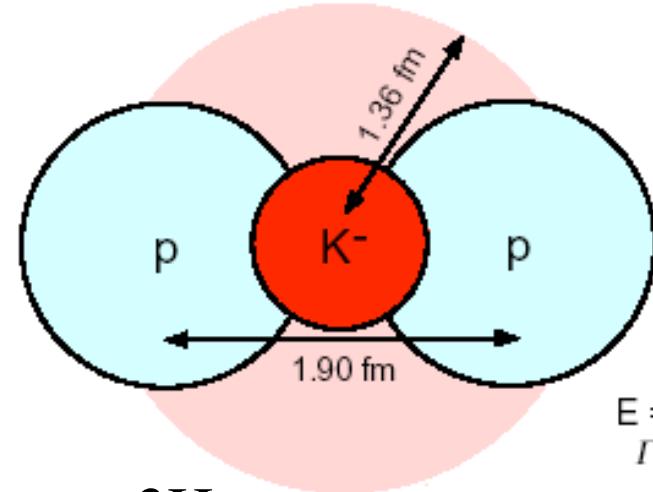
** quark-gluon phase ?



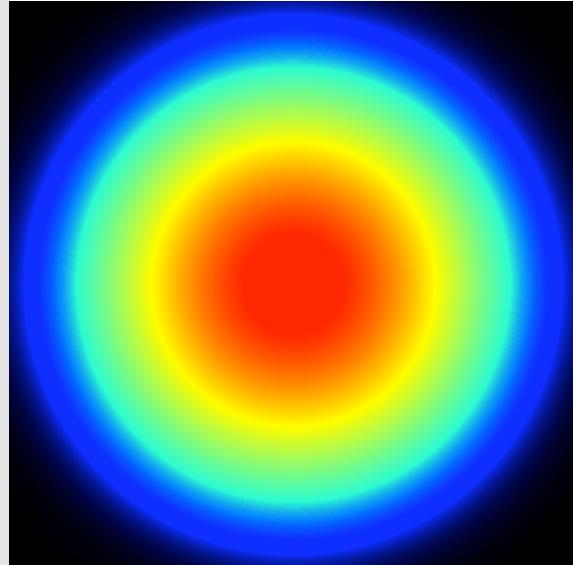
HI REACTION

How about $pp\bar{K}^-K^-$, $ppn\bar{K}^-K^-$??

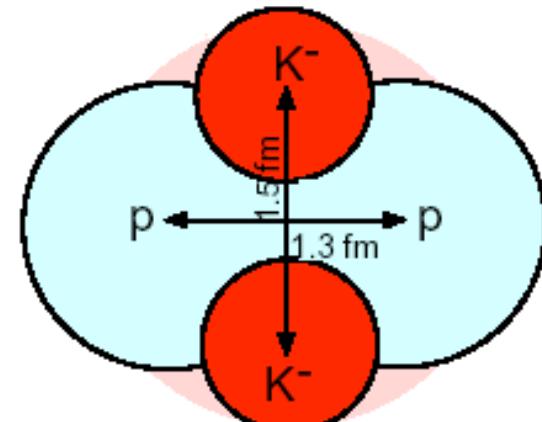
Structure of $pp\bar{K}^-$



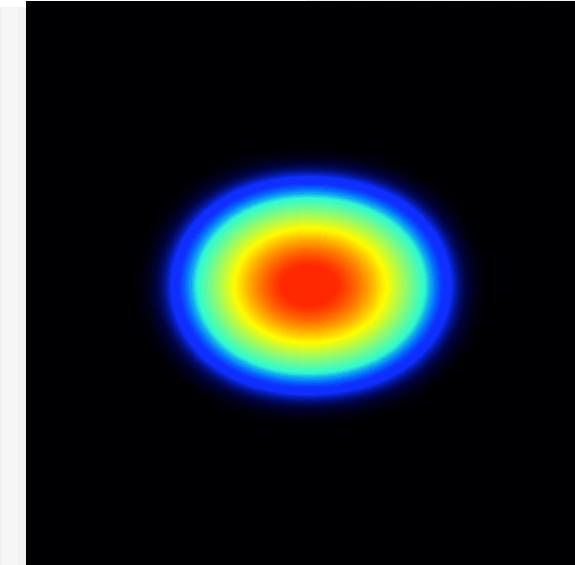
^3He



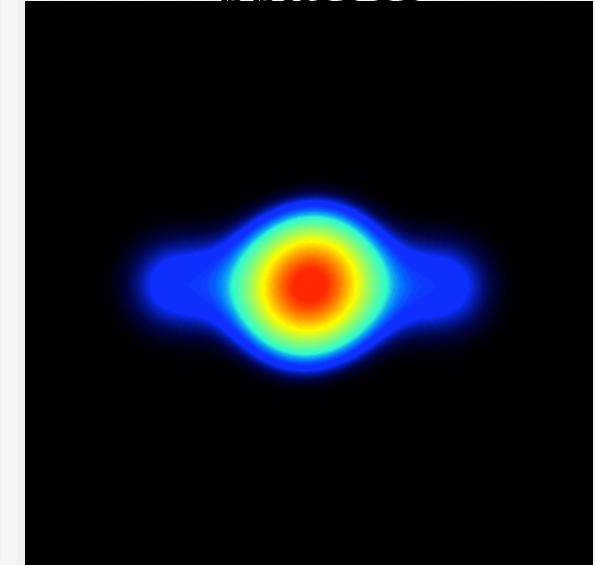
Structure of $pp\bar{K}^-K^-$



$ppn\bar{K}^-$



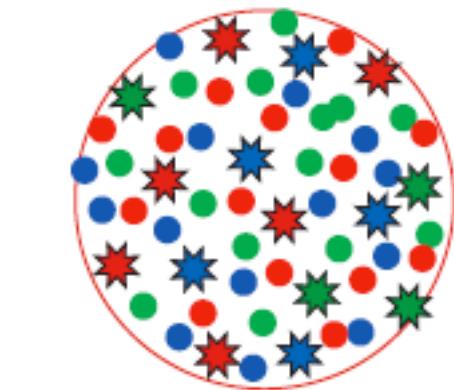
$ppn\bar{K}^-K^-$



$E = -117 \text{ MeV}$
 $\Gamma = 35 \text{ MeV}$

$E = -48 \text{ MeV}$
 $\Gamma = 61 \text{ MeV}$

Quark Gluon Plasma

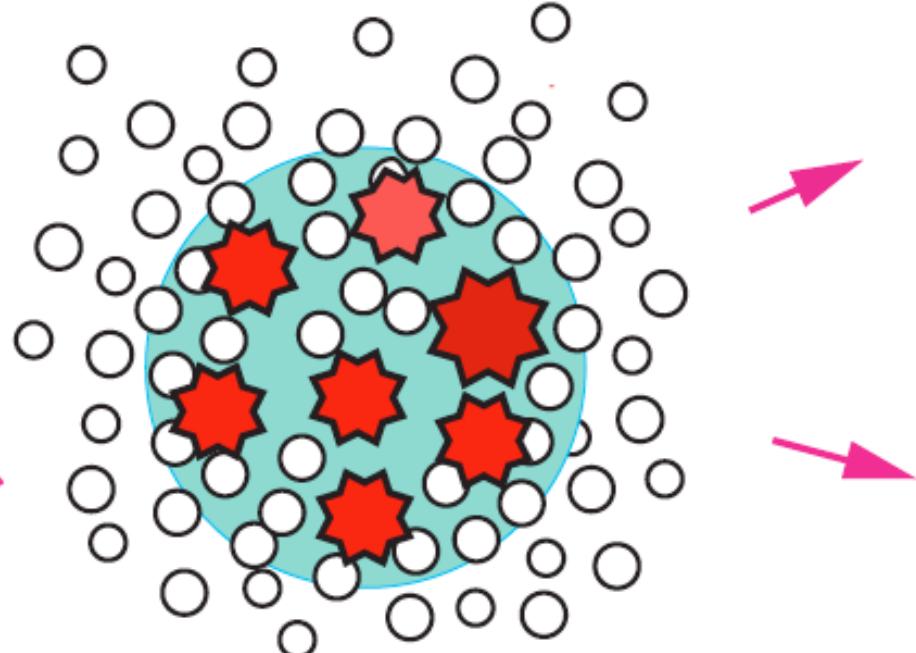


● ● ● u, \bar{u} , d, \bar{d}
*** * s, \bar{s}

Cooling
Expanding

$p = uud$
 $K^- = s\bar{u}$
 $p = uud$

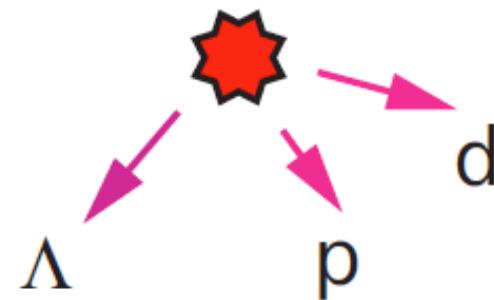
Evaporating hadrons and
 \bar{K} clusters as cold residues



decaying \bar{K} cluster

decay time > freezout time

$1/(20 \text{ MeV}) \sim 10 \text{ fm}/c$

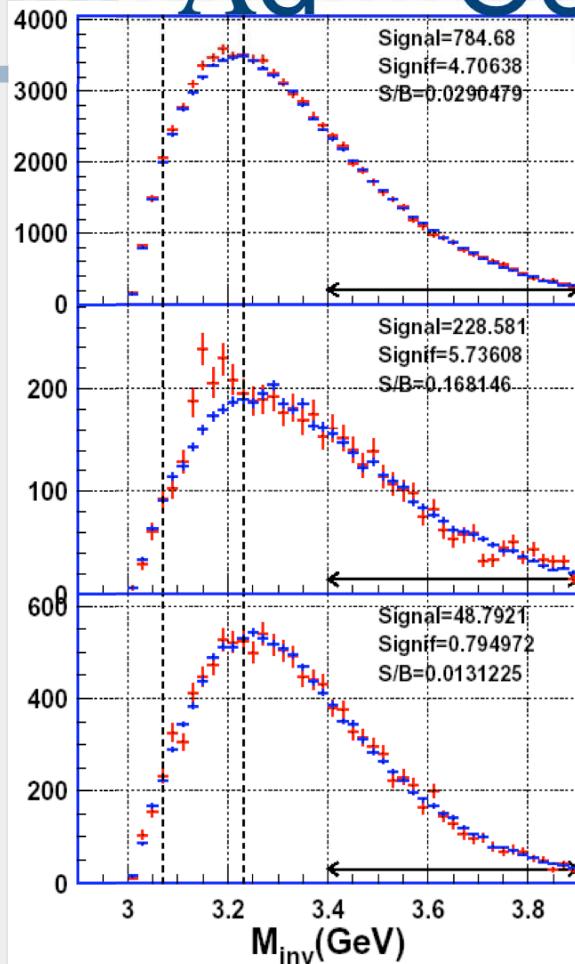


GSI FOPI Ni + Ni @ 2.1 GeV/u

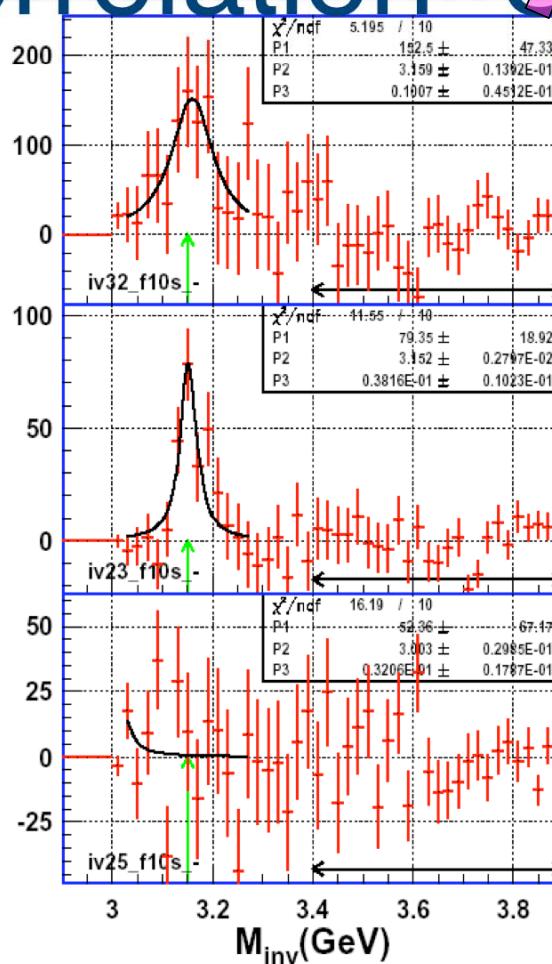
Subevents rotated
Vertex shifted
Lambda Cuts:

Λd – Correlation

Possible decay channel:



$M_{inv} (\Lambda+d)$ (GeV)



Data

Signal-MC

Background-MC

$M \sim 3.14$ GeV

$\Gamma \sim 0.1$ GeV

d-Cuts:

HM3MIN	1,7
D03MAX	
PT3MIN	
PT3MAX	
Sdxy3max	
M3LOW	
M3HIGH	
DML	
DPHL3MIN	30
YDLMAX	0,65
PTDLMIN	
PTDLMAX	
CCNT	<10
BM3MIN	
F10	

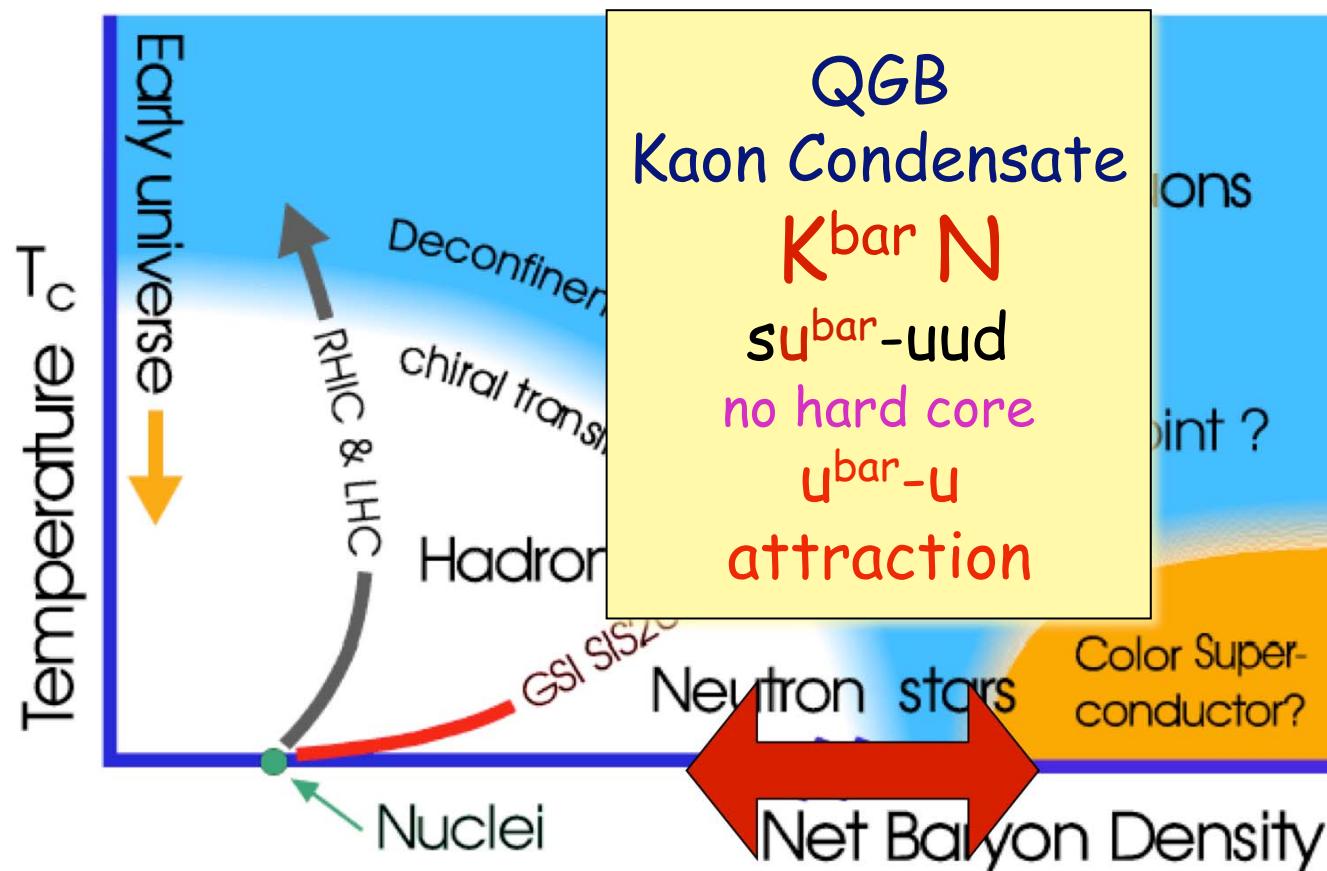
K⁻ clusters

Cold, dense & microscopic nuclear systems

a New Paradigm - QG GroundState - so far untouched

chiral symmetry restoration? quark-gluon phase?

exotic nuclear dynamics, strange matter/star, kaon condensation,.....



Thank you very much