

A wake of color medium by a fast parton

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Predictions of upcoming winners for Nobel Prize In Physics

- For discovering accelerating cosmological expansion: Adam Riess, Saul Perlmutter, Brian Schmitt
- For formulating chaos theory: Mitch Feigenbaum, Edward Ott, James Yorke, and Celso Grebogi, Harry Swinney, Benoit Mandelbrot
- For the discovery and study of extrasolar planets: Aleksander Wolszczan, Dale Frail, Paul Butler, Geoffrey Marcy, Michael Mayor, Didier Queloz, David Lathan
- For discovering and developing carbon nanotubes: Sumio Iijima, Cees Dekker, Phaeton Avouris, Charles Lieber, Thomas Ebbeson
- For synthesizing superheavy elements: Peter Armbruster, Yhuri Oganessian, Sigurd Hofmann
- For formulating inflationary cosmology: Alan Guth, Paul Steinhardt, Andrei Linde
- For predicting, discovering, and developing negative-index metamaterials: Victor Veselago, John Pendry, David Smith, Xiang Zhang, Sheldon Schultz, Ulf Leonhardt
- For discovering and developing photonic crystals: Eli Yablonovitch, Shawn Lin, John Joannopoulos
- For discovering graphene: Andre Geim and Kostya Novoselov
- For studies on quantum nonlocality, entanglement, decoherence, and atom optics: Alan Aspect, Serge Harouche, Anton Zeilinger, Charles Bennett, Anton Zurek, David Pritchard, Joerg Schmiedmayer, David Wineland, Peter Zoller
- For achieving stopped light and electromagnetically induced transparency: Lene Hau, Ronald Walsworth, Mikhail Lukin, Stephen Harris, and Marlon Scully
- For predicting and demonstrating quark-gluon plasma: Miklos Gyulassy, Bill Zajc, Berndt Mueller
- For the development of the LED laser, Nick Holonyak; Shuji Nakamura, blue laser; Robert Hall, first semiconductor laser
- For the discovery of the top quark: Paul Grannis, Mel Schocket, William Carruthers
- Show replies None of the above... I think this will win (please specify)

Problems with PCC: heavy ion collisions

- Unknown parton distributions of nuclei: CTEQ, GRV & EKS, CGC
- So many unknown parameters: coupling constant, minimum momentum transfer, density, temperature,
- Unknown equations of motions: Elze and Heinz, Geiger, Jeon, ...

- NEEDS a simple and understandable scheme which has minimal unknowns

BRICK problem

- Thermalized system of gluons, quarks and antiquarks, or quarks and gluons
- Well defined temperature or entropy
- Thermal cross section: much less controversial – natural cutoff for the minimal momentum transfer
- Might important in QGP or Heavy Ion Collisions

1. Initial distribution

- Gluon: $f_B(E, T) = \frac{C_g}{e^{\beta E} - 1} \frac{E^2}{4\pi^2}$

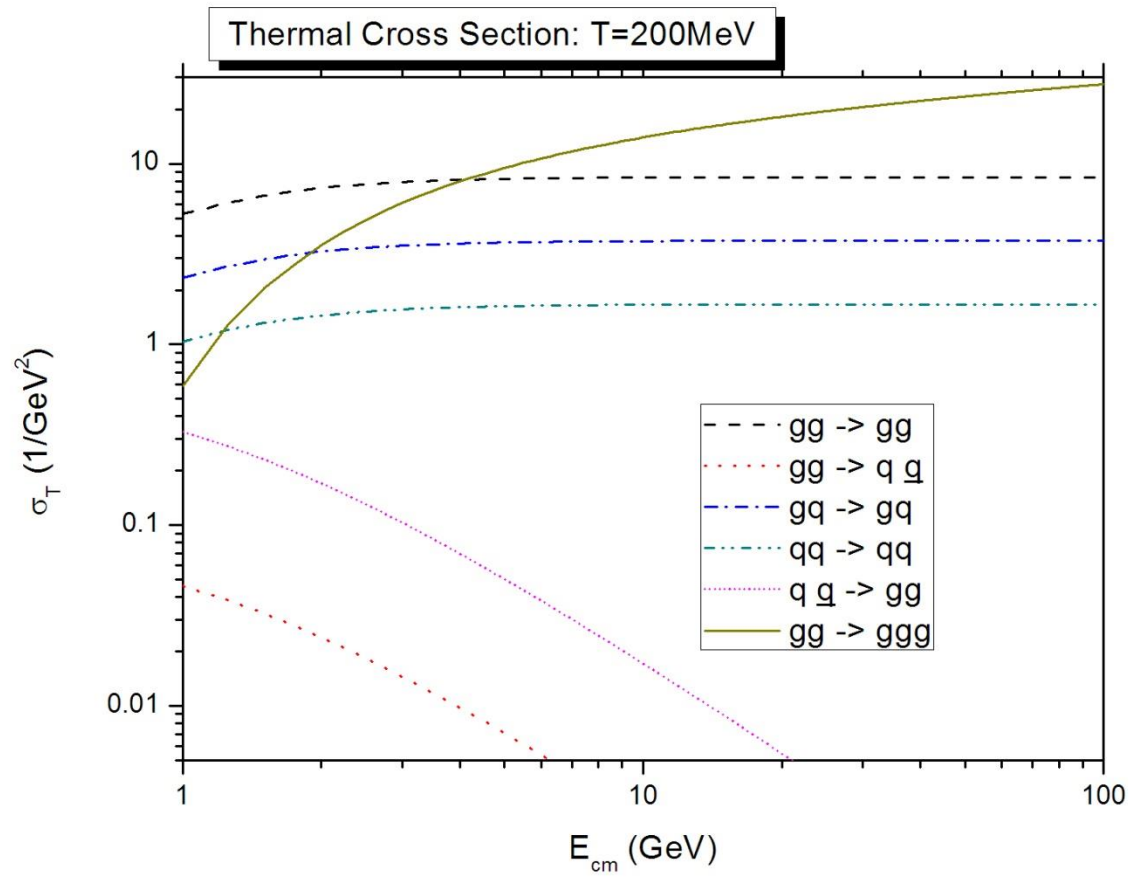
- (Anti)Quark: $f_F(E, T) = \frac{C_q}{e^{\beta E} + 1} \frac{E^2}{2\pi^2}$

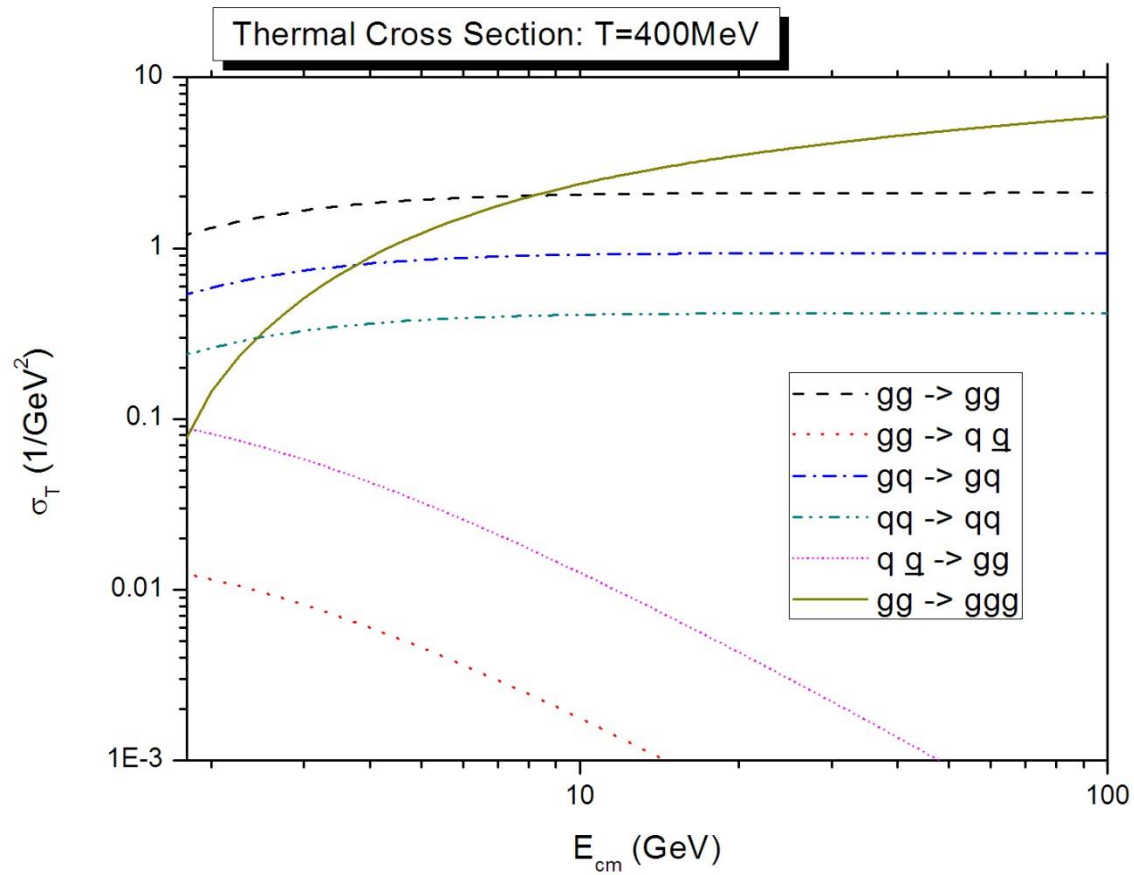
$$n(T) = \int_0^{\infty} f(E, T) dE$$

$$e(T) = \int_0^{\infty} E f(E, T) dE$$

2. Cross Sections(thermal)

- $gg \rightarrow gg$:
$$\frac{d\sigma}{dq_{\perp}^2} = 2\pi\alpha_s^2 \frac{9}{4} \frac{1}{(q_{\perp}^2 + \mu_D^2)^2}$$
- $gg \rightarrow qq$:
$$\frac{d\sigma}{dq_{\perp}^2} = \frac{\pi\alpha_s^2}{6E_{cm}^2} \frac{1}{q_{\perp}^2 + \mu_D^2}$$
- $gq \rightarrow gq$:
$$\frac{d\sigma}{dq_{\perp}^2} = \frac{2\pi\alpha_s^2}{(q_{\perp}^2 + \mu_D^2)^2}$$
- $qq \rightarrow qq$:
$$\frac{d\sigma}{dq_{\perp}^2} = \frac{8\pi\alpha_s^2}{9} \frac{1}{(q_{\perp}^2 + \mu_D^2)^2}$$
- $qq \rightarrow gg$:
$$\frac{d\sigma}{dq_{\perp}^2} = \frac{32\pi\alpha_s^2}{27E_{cm}^2} \frac{1}{(q_{\perp}^2 + \mu_D^2)}$$
- $gg \rightarrow ggg$:
$$\frac{d\sigma}{dq_{\perp}^2 dy dk_{\perp}^2} = 2\alpha_s^3 C_A C_{gg} \frac{q_{\perp}^2}{(q_{\perp}^2 + \mu_D^2)^2} \frac{1}{k_{\perp}^2 + \mu_D^2} \frac{\theta(E_{cm} - m_{\perp} \cosh y)}{((k_{\perp}^2 + q_{\perp}^2 + \mu_D^2)^2 - 4k_{\perp}^2 q_{\perp}^2)^{1/2}}$$



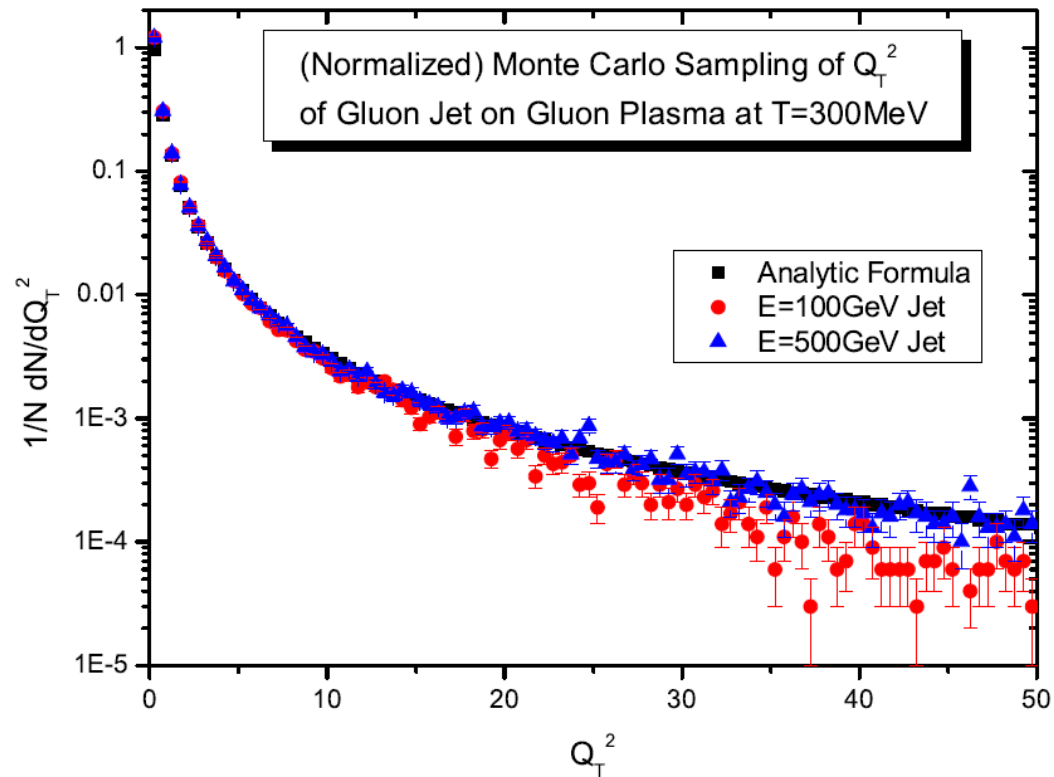


3. PCC

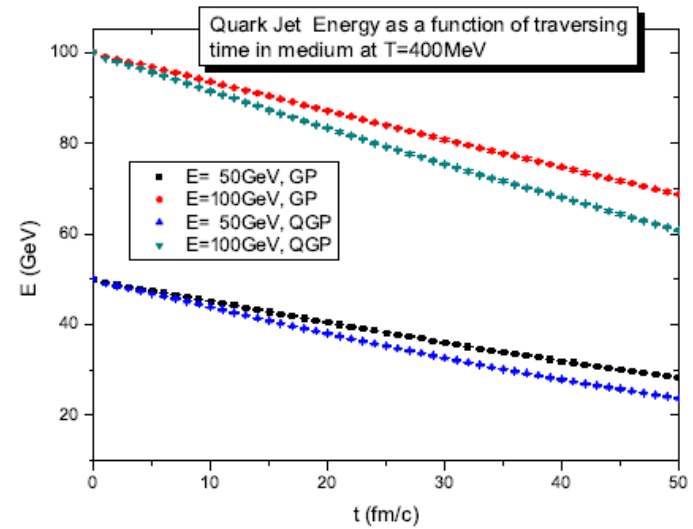
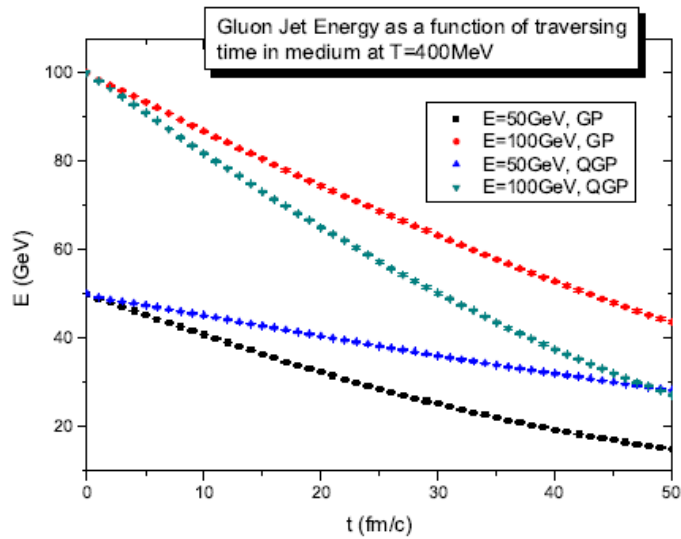
- NOT smart way but WORKS OK

4. Results I: Fast Parton

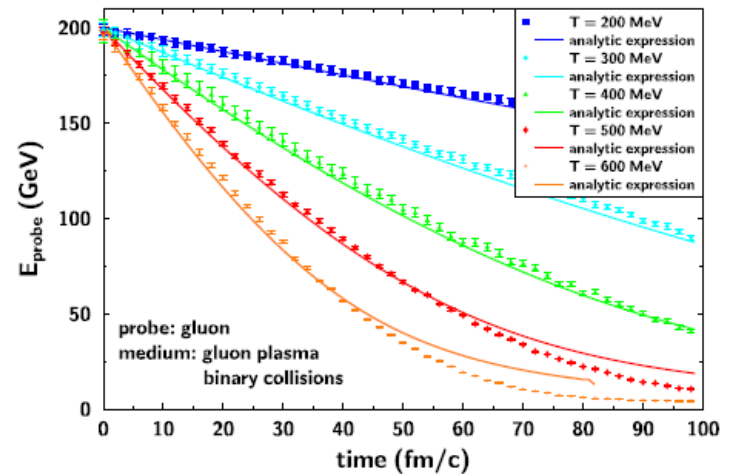
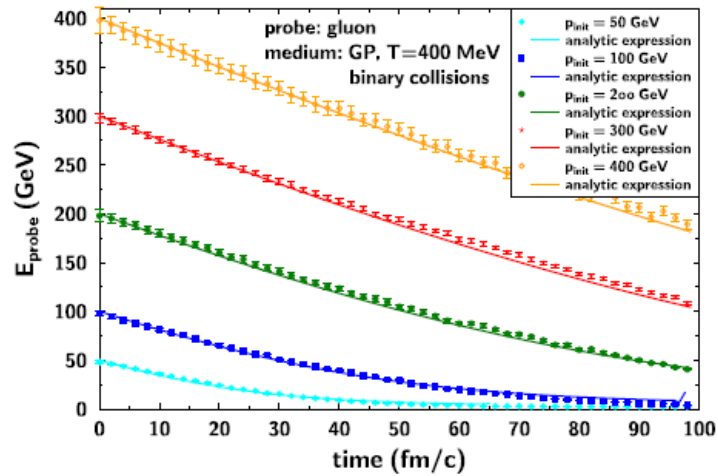
- Monte Carlo sampling:



- Energy Loss:

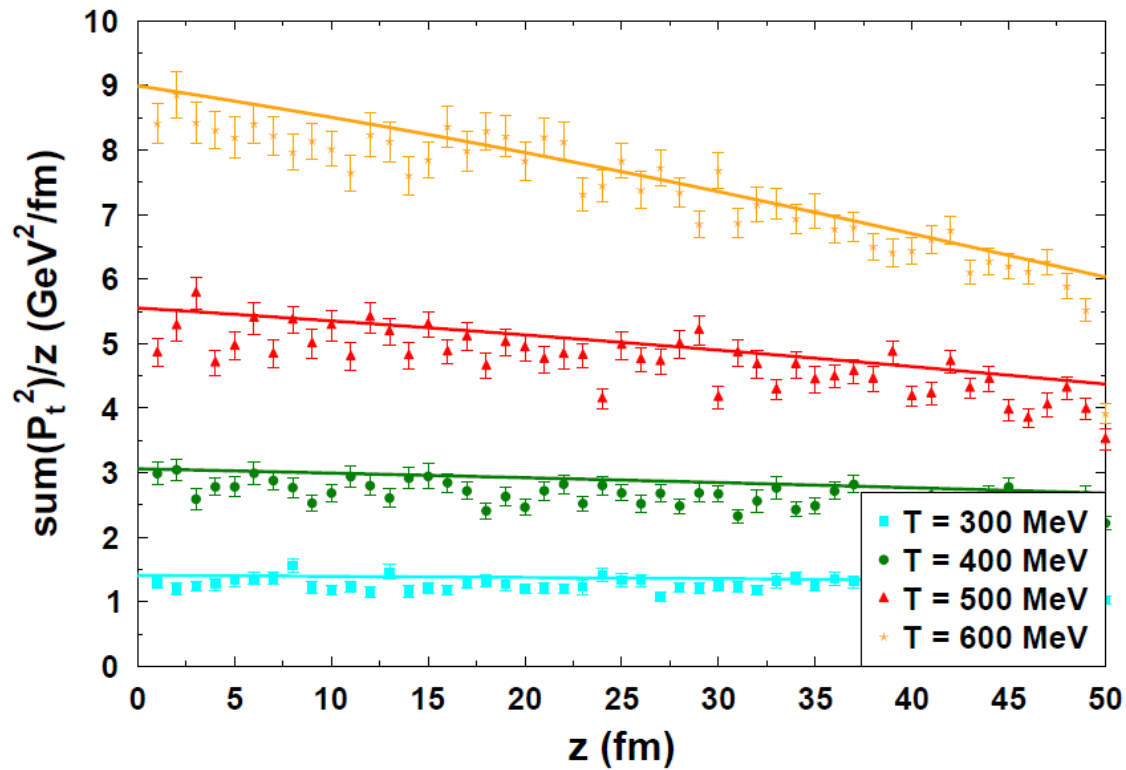


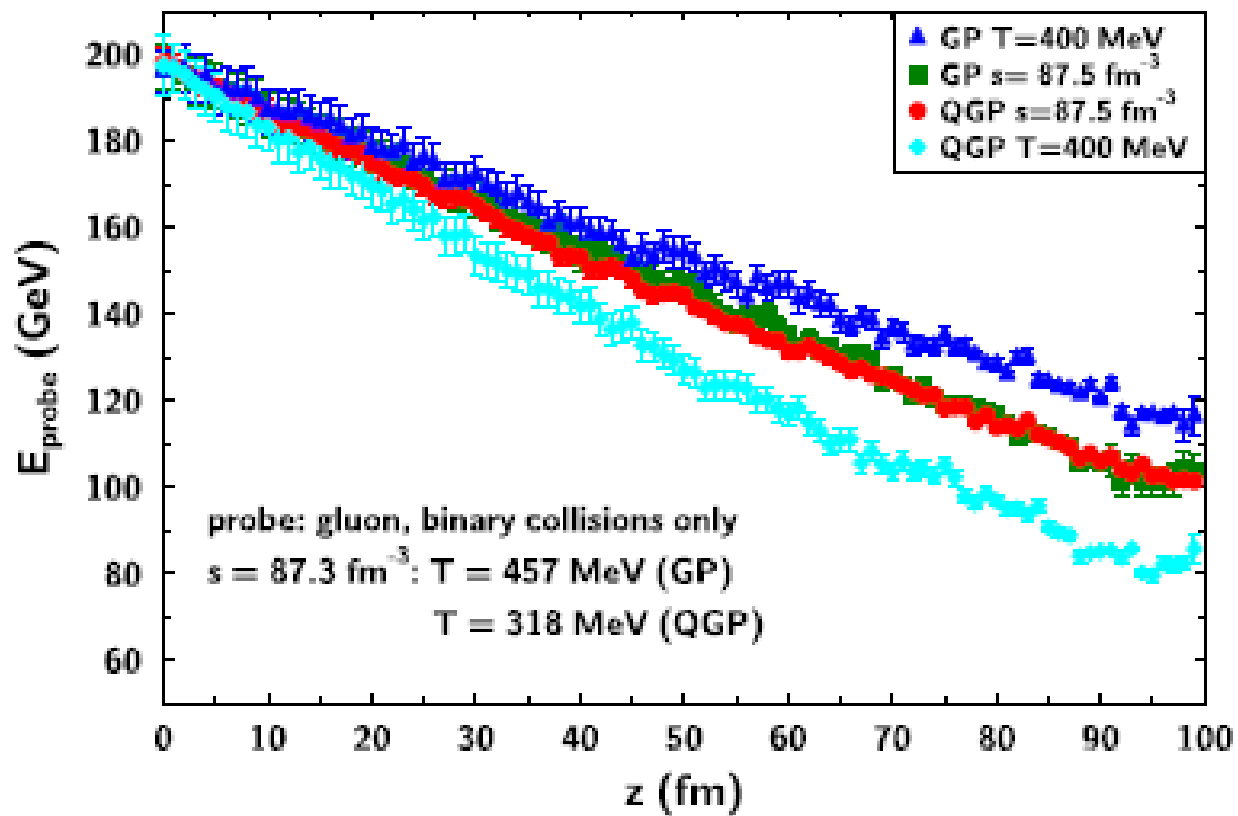
$$-\frac{dE}{dt} = \int \frac{d^3k}{(2\pi)^3} F_g(\vec{k}; T) \int dq_{\perp}^2 (1 - \cos\theta) \nu \frac{d\sigma}{dq_{\perp}^2}$$



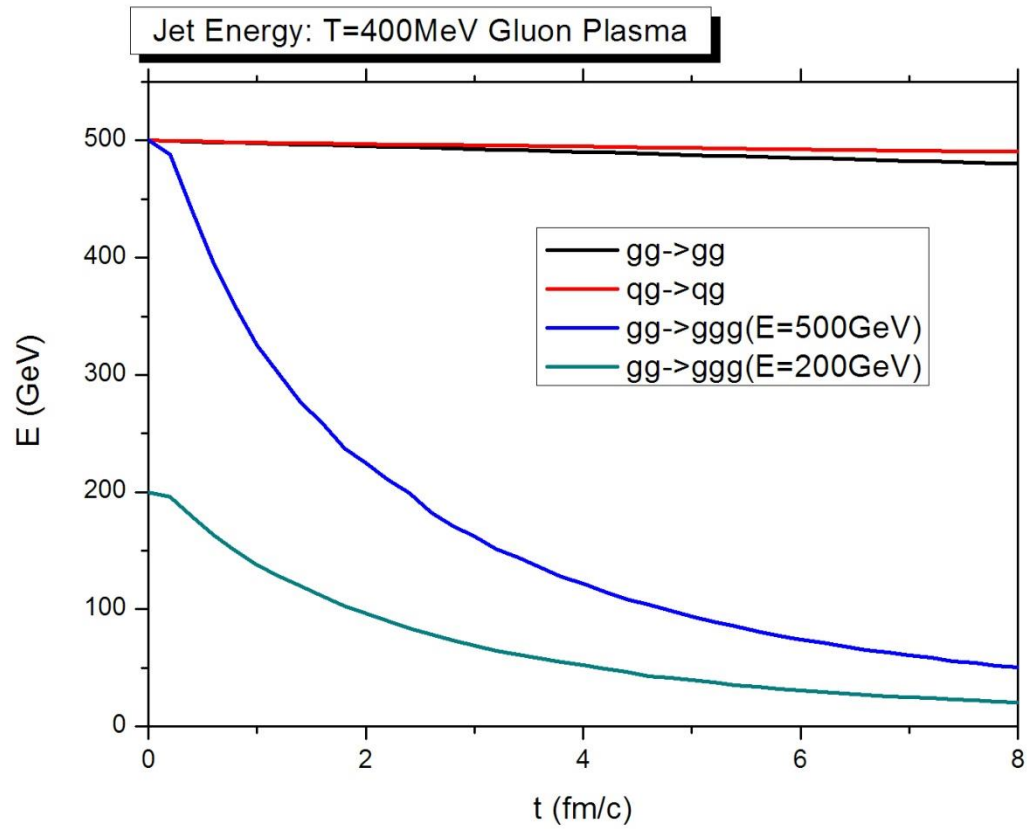
- \hat{Q} :

$$\hat{q}(\Lambda) \approx \alpha_s T m_D^2 \ln \left(\frac{T^2}{m_D^2} \right) + 4\pi \alpha_s^2 \mathcal{N} \ln \left(\frac{\Lambda^2}{T^2} \right)$$

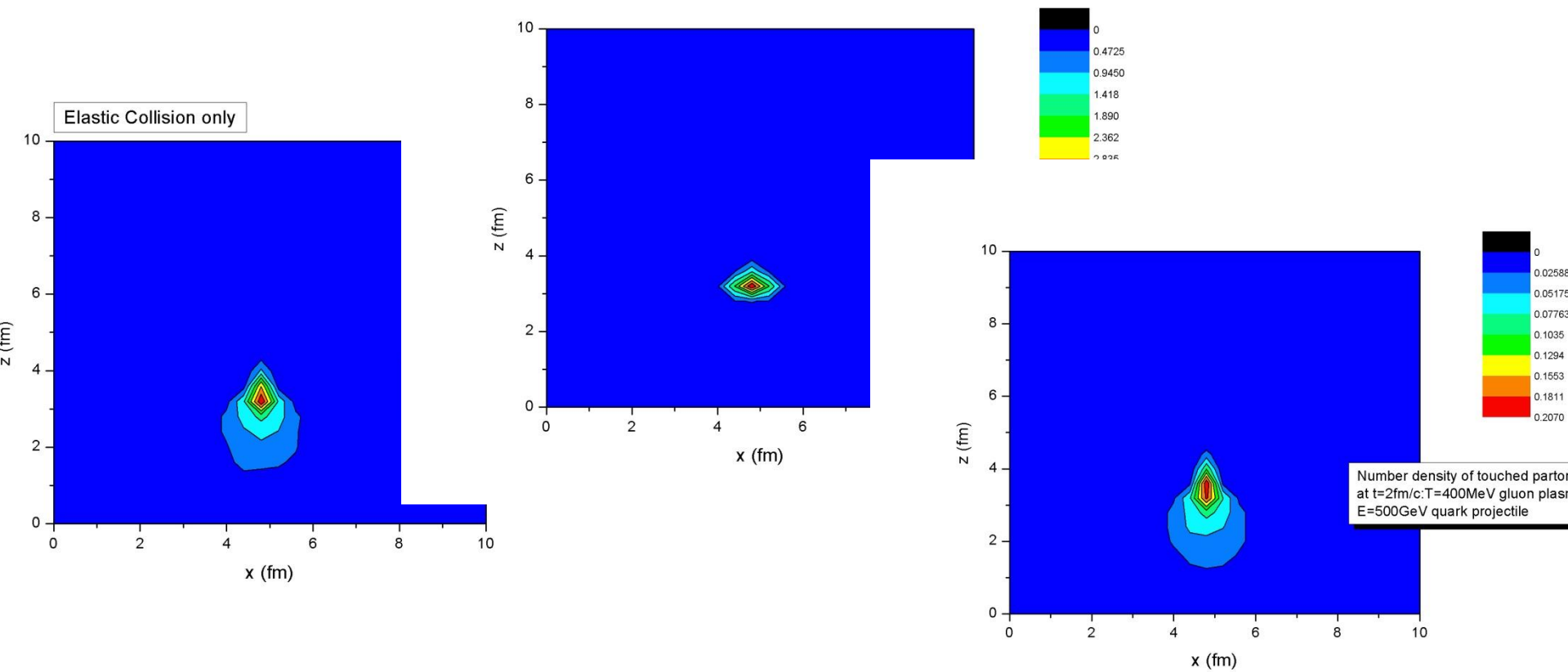


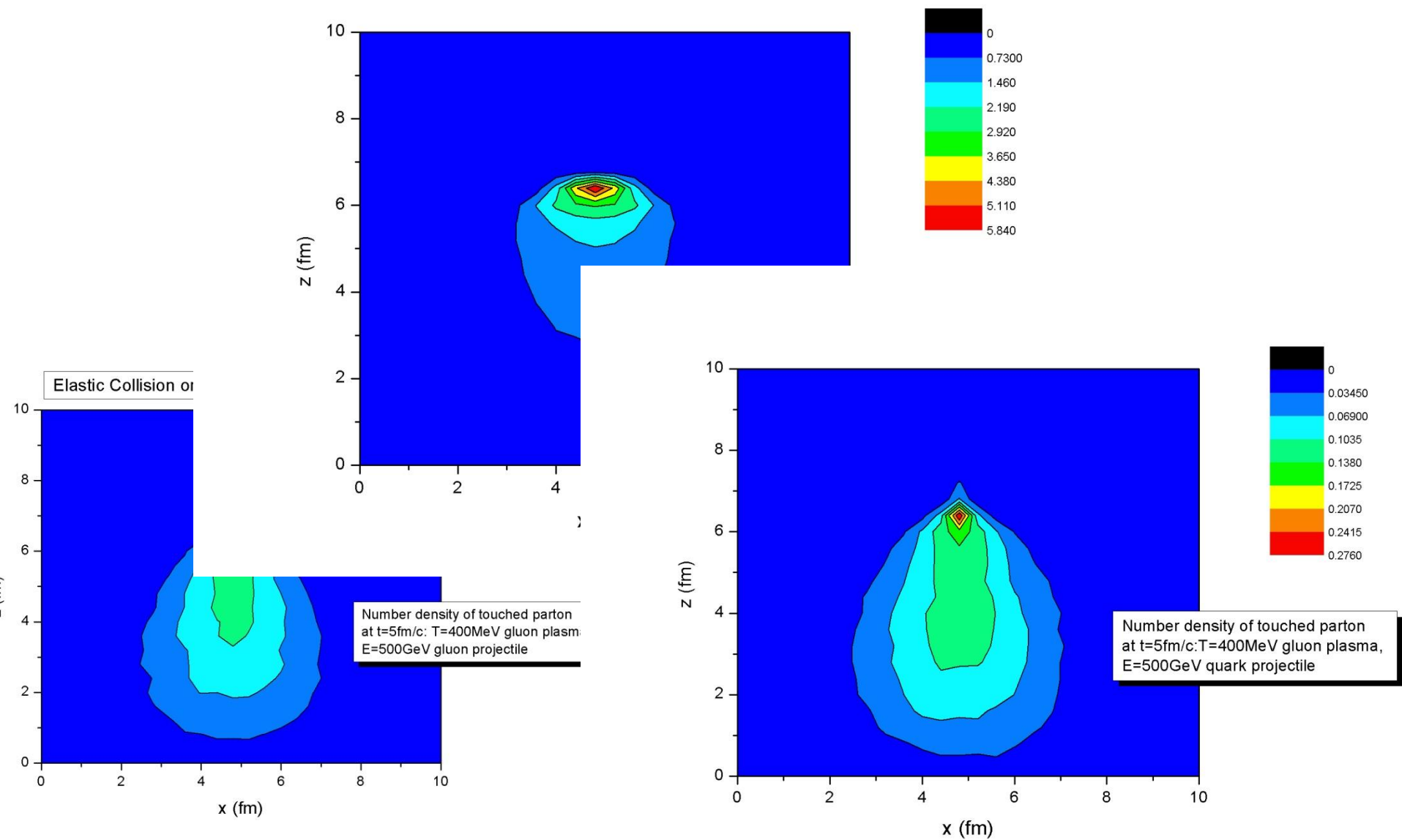


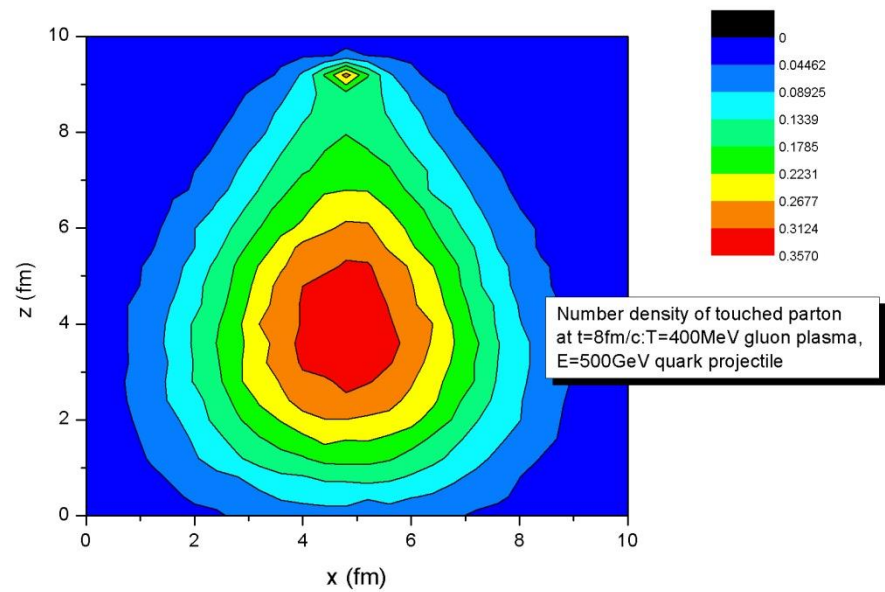
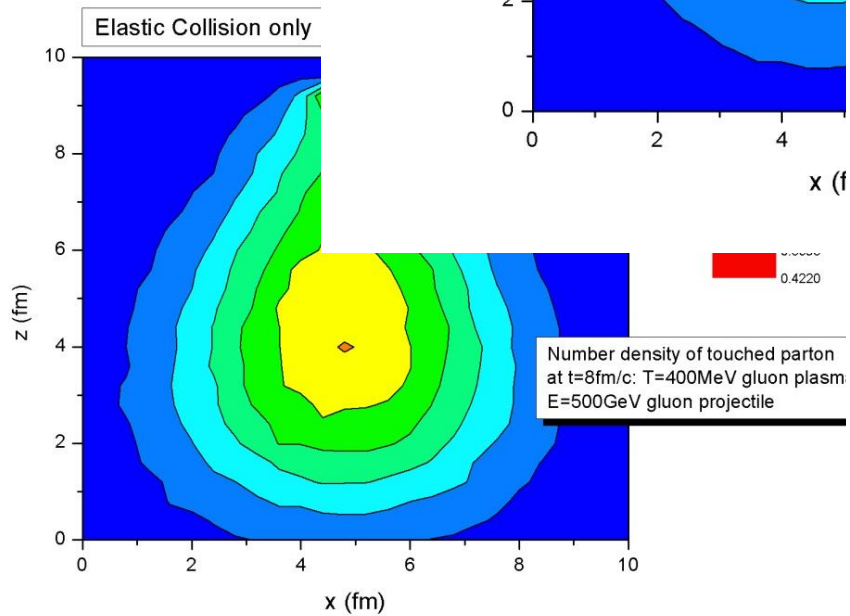
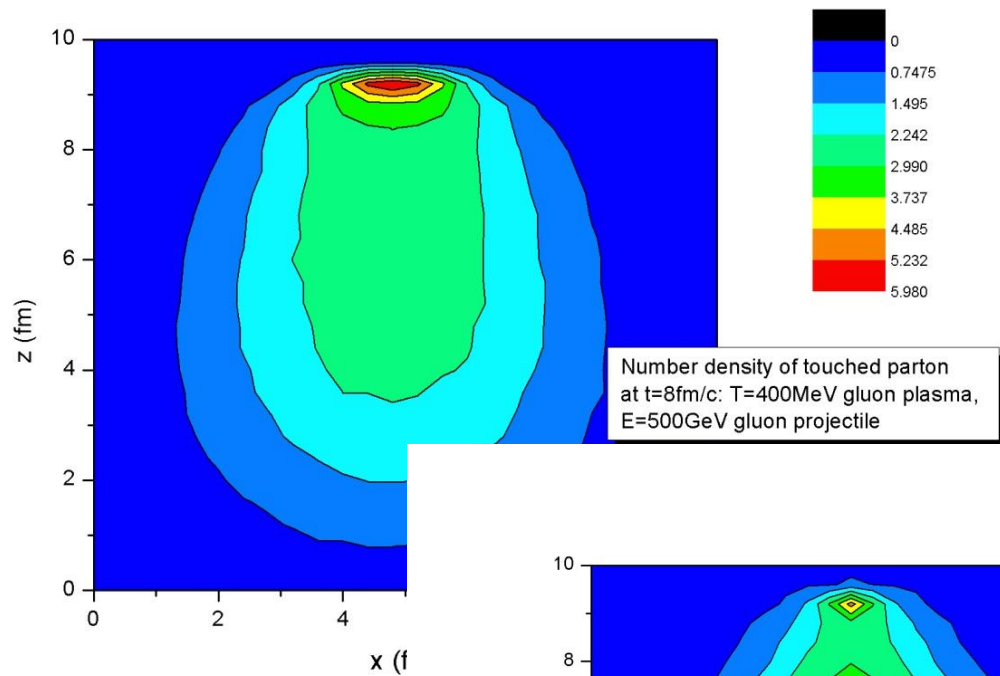
5. Results II: Medium Response



- Number density:







6. Concluding Remarks

- Good agreement with analytic formula in elastic scattering
- The medium responds differently with different temperature and projectile
- Do we see Mach cone or what are the angles?