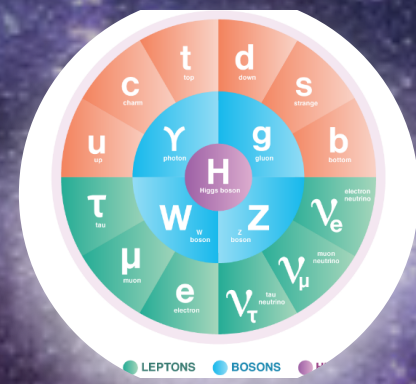


WAVES IN A BOX: RESONANT CAVITIES FOR AXION AND GW DETECTION

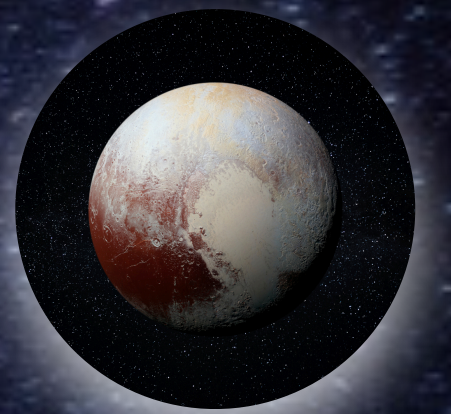


Raffaele Tito D'Agnolo - IPhT Saclay

DARK MATTER MASS



Person



Neutrino

Higgs



Pluto

Self-coupling

50 O.M.

Mass

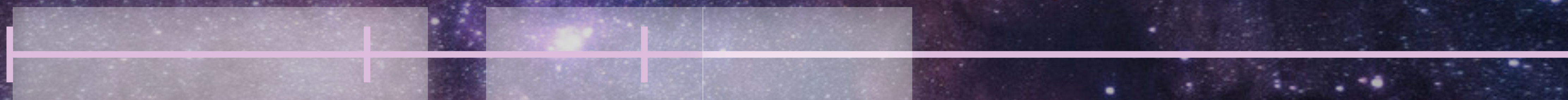
50 O.M.

80 O.M.

Couplings to ordinary matter



DARK MATTER MASS



Neutrino

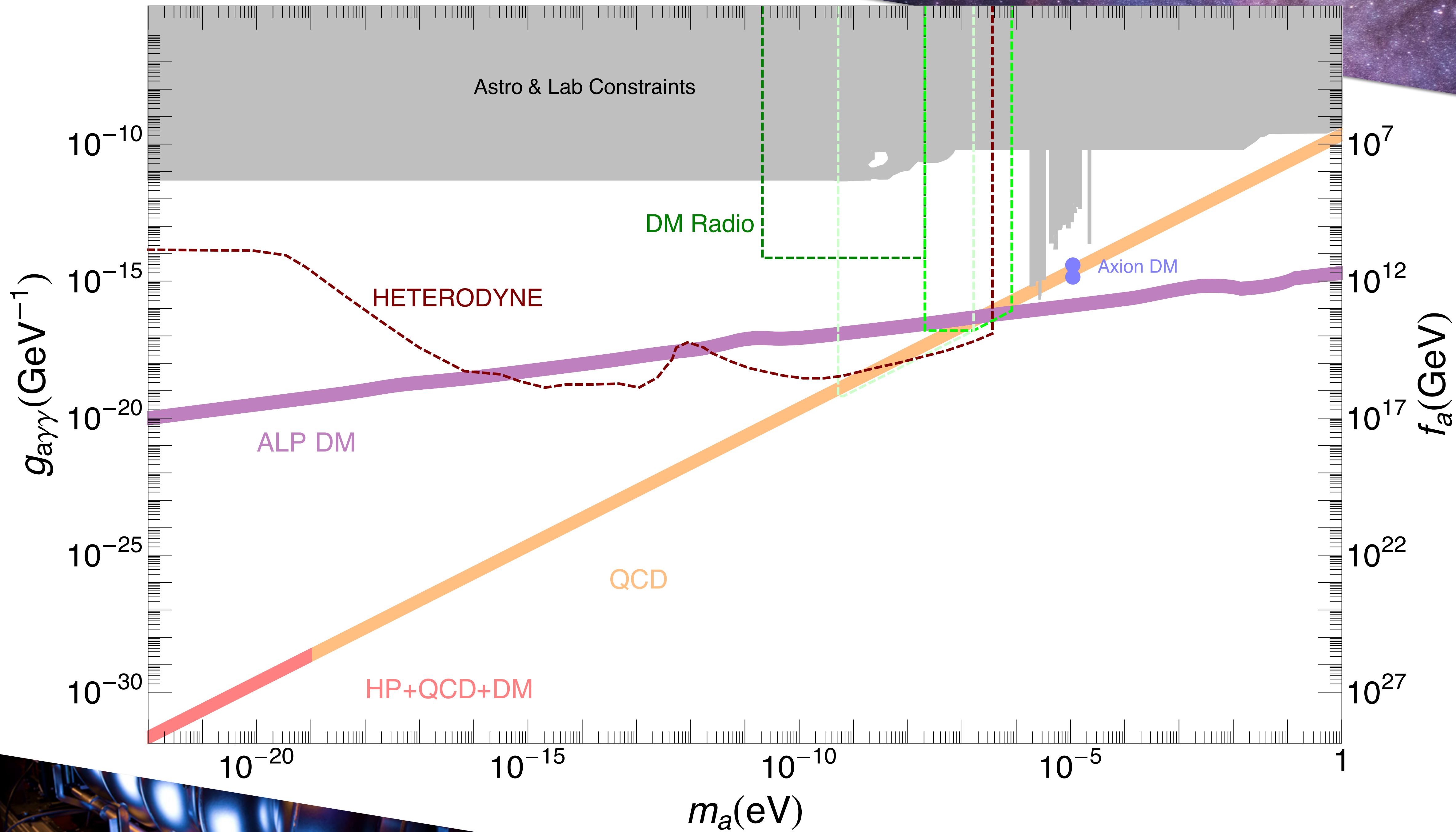
Higgs

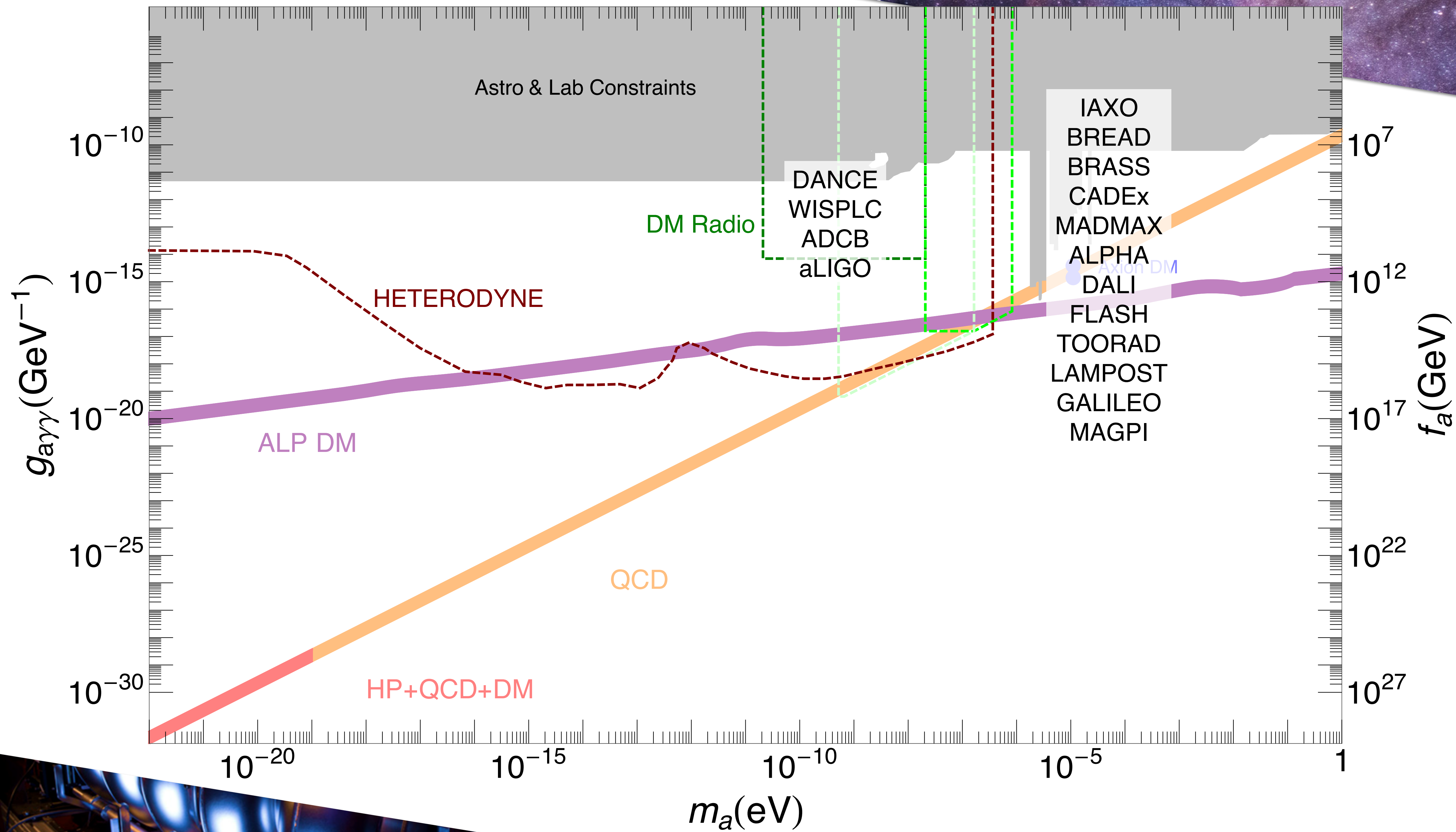
Theory Spotlight

DARK MATTER MASS



Theory Spotlight





ω_g

ω_g

10 Hz

kHz

LIGO-VIRGO



ω_g

nHz

μ Hz

10 Hz

kHz

PULSAR TIMING

LIGO-VIRGO

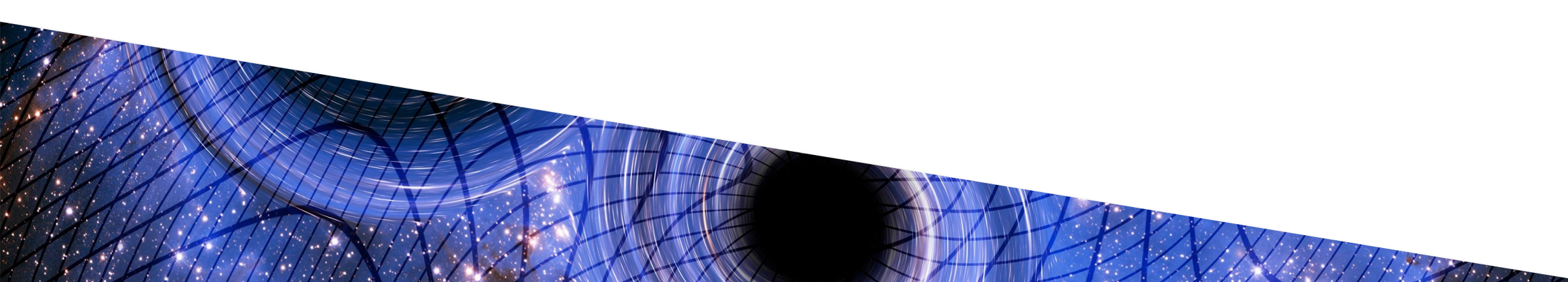
ω_g

Largest from Astrophysics



ω_g

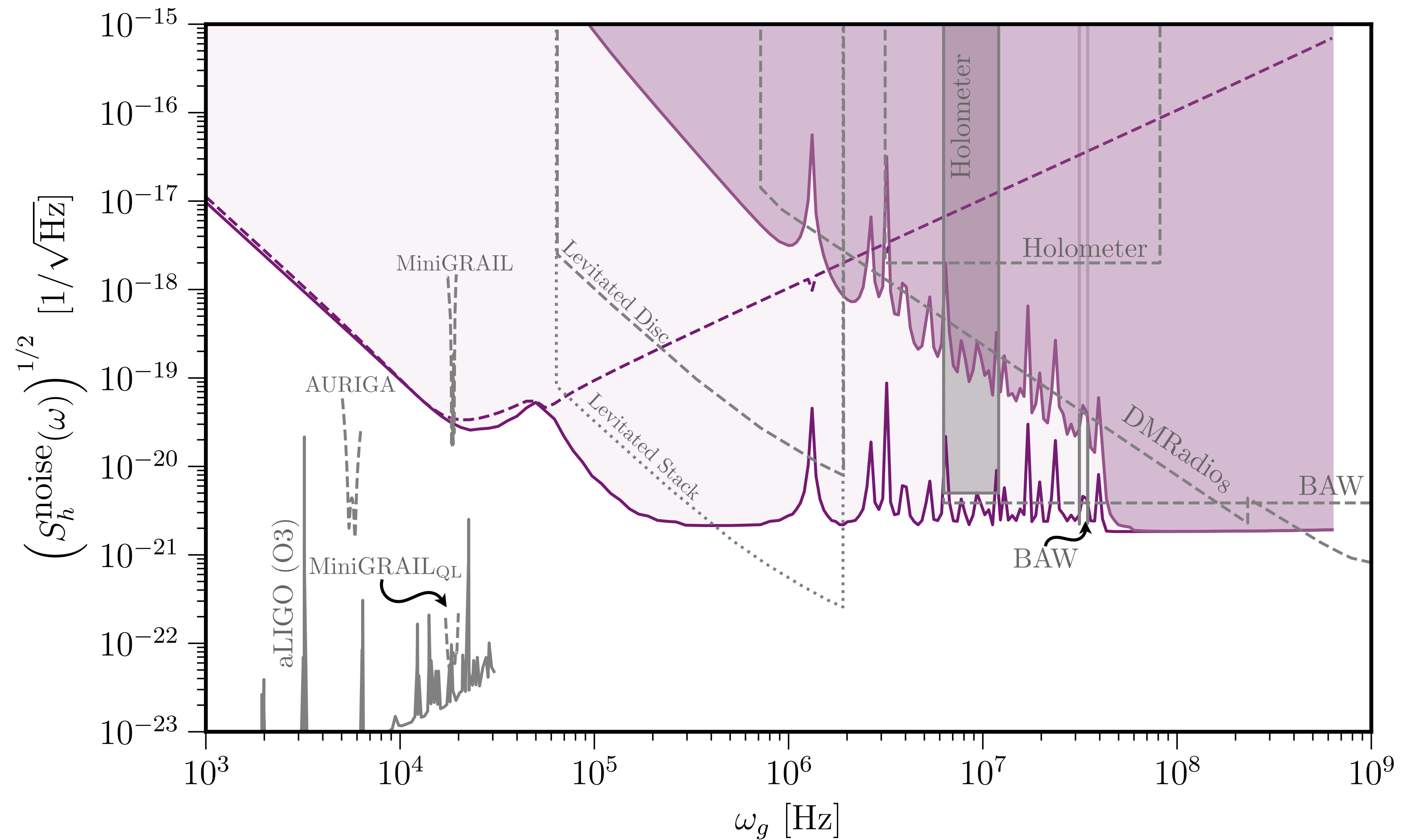
$$\lambda(T_*) < \frac{1}{H(T_*)} \quad \text{Causality}$$



$$\omega_g$$

$$\lambda(T_*) < \frac{1}{H(T_*)} \quad \text{Causality}$$

$$\omega_0(T_*) = \omega(T_*) \frac{a(T_*)}{a_0} \gtrsim \boxed{100 \text{ MHz}} \left(\frac{T_*}{10^{15} \text{ GeV}} \right) \left(\frac{g_*(T_*)}{100} \right)^{1/6}$$



The image features a diagonal split background. The upper right portion shows a vibrant view of the Milky Way galaxy, with its characteristic band of stars and interstellar dust in shades of purple, blue, and white. The lower left portion shows a close-up of the ALPS (Advanced Light Particle Spectrometer) detector, characterized by several large, polished, metallic hemispherical components arranged in a row, reflecting light in a golden-brown hue. The text 'ALPS DETECTION' is centered across the diagonal boundary in a bold, black, sans-serif font with a white outline.

ALPS DETECTION

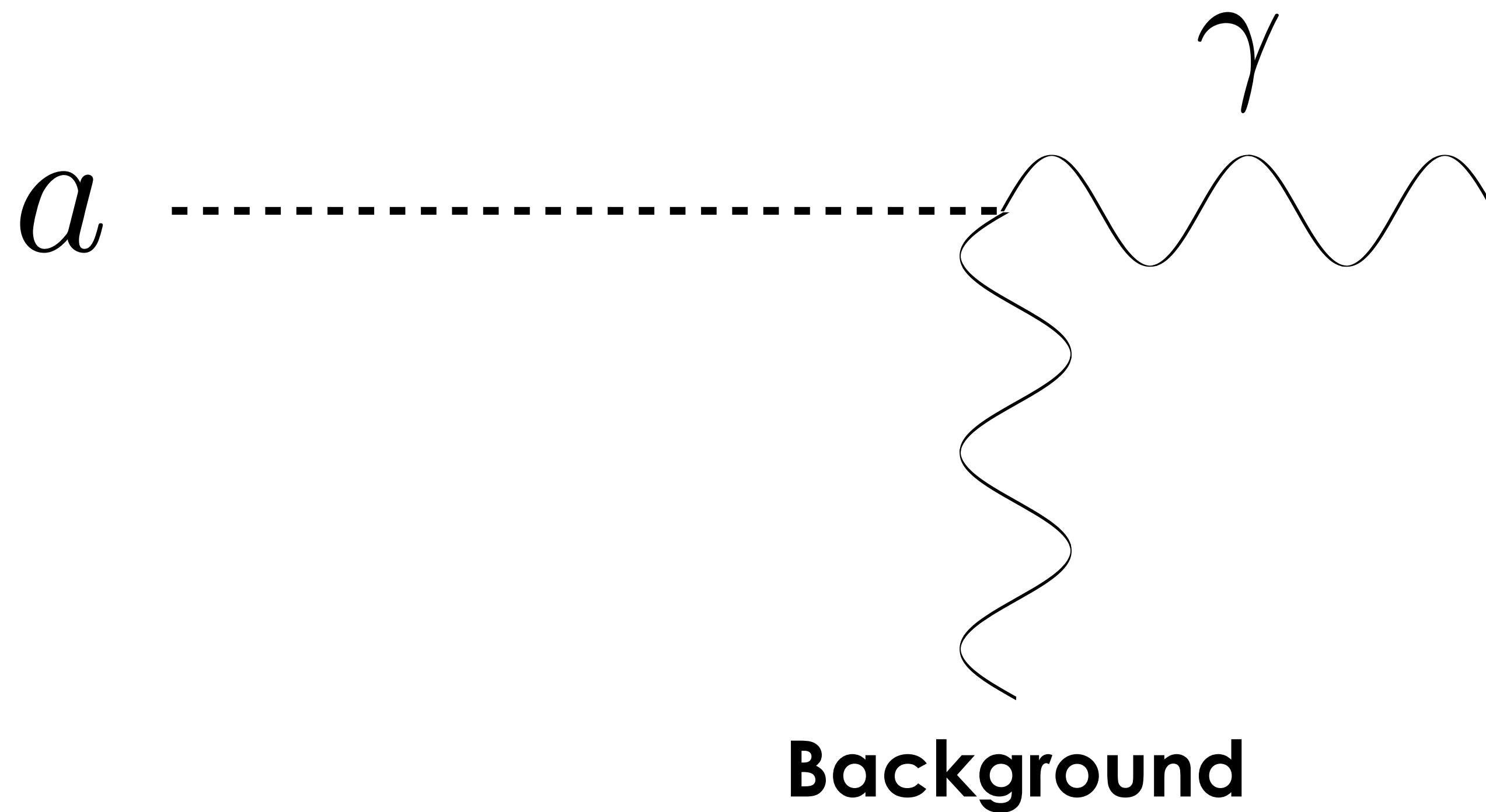
Dark Matter Particles in a de Broglie Volume **Today**

Galaxy: $N_{\text{DM}} \simeq 10^3 \left(\frac{\text{eV}}{m_{\text{DM}}} \right)$

Universe: $N_{\text{DM}} \simeq 10^{-3} \left(\frac{\text{eV}}{m_{\text{DM}}} \right)$

$$a(t) \simeq \frac{\sqrt{2\rho_{\text{DM}}}}{m_a} \cos(\omega_a t + \phi)$$

ALP DARK MATTER DETECTION

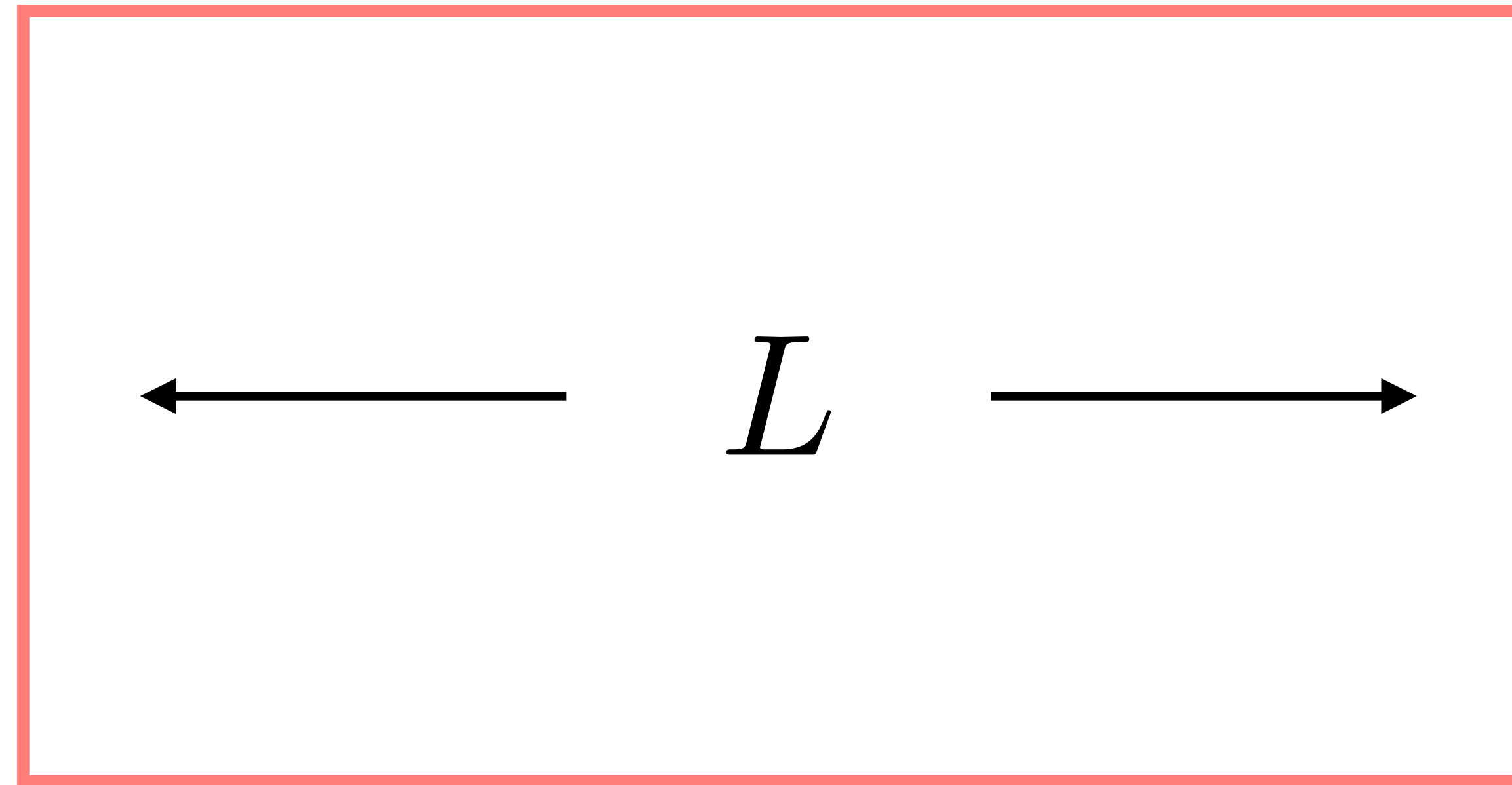


$$\sim \frac{a}{f_a} E_{\text{bkg}} \simeq 10^{-21} E_{\text{bkg}}$$

but you know exactly the waveform
and the signal is always there

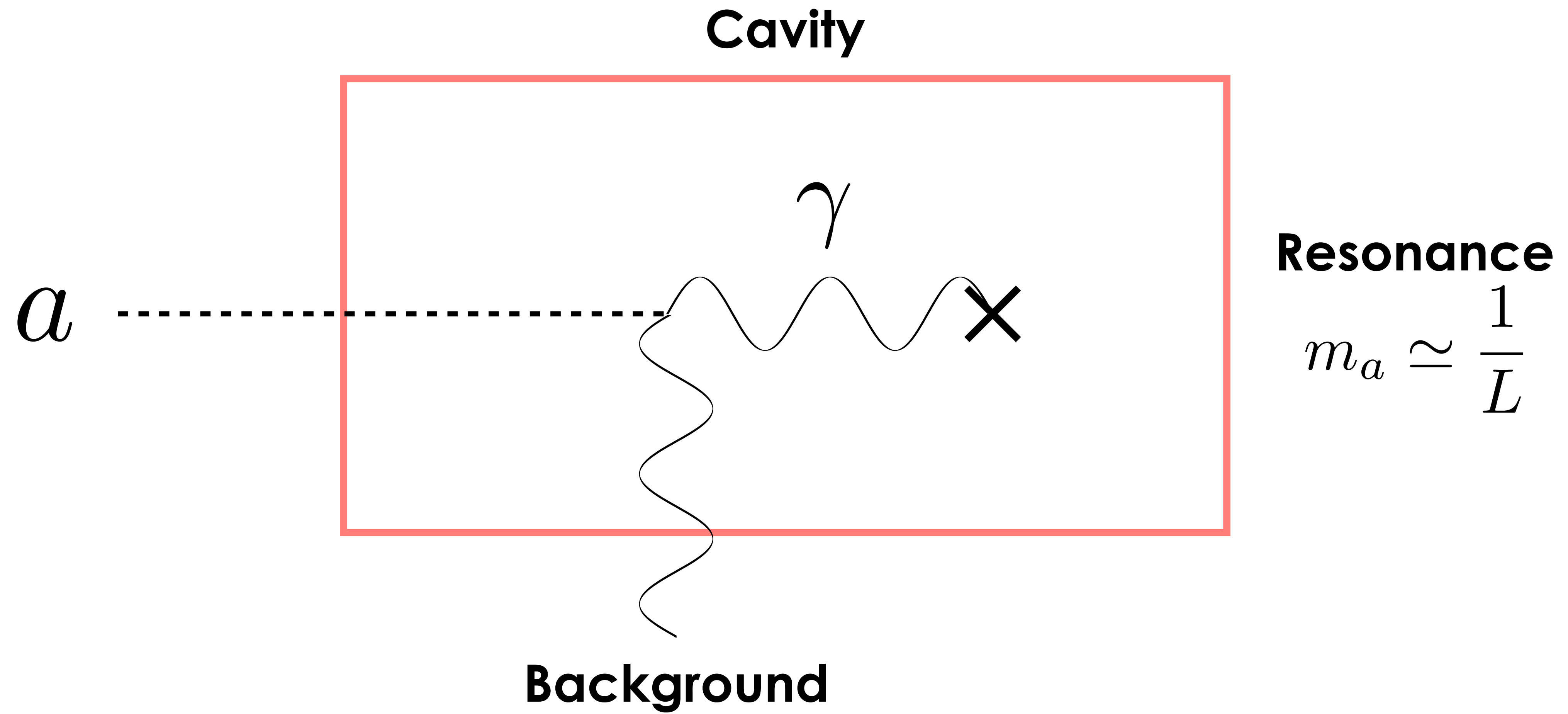
AXION DARK MATTER DETECTION

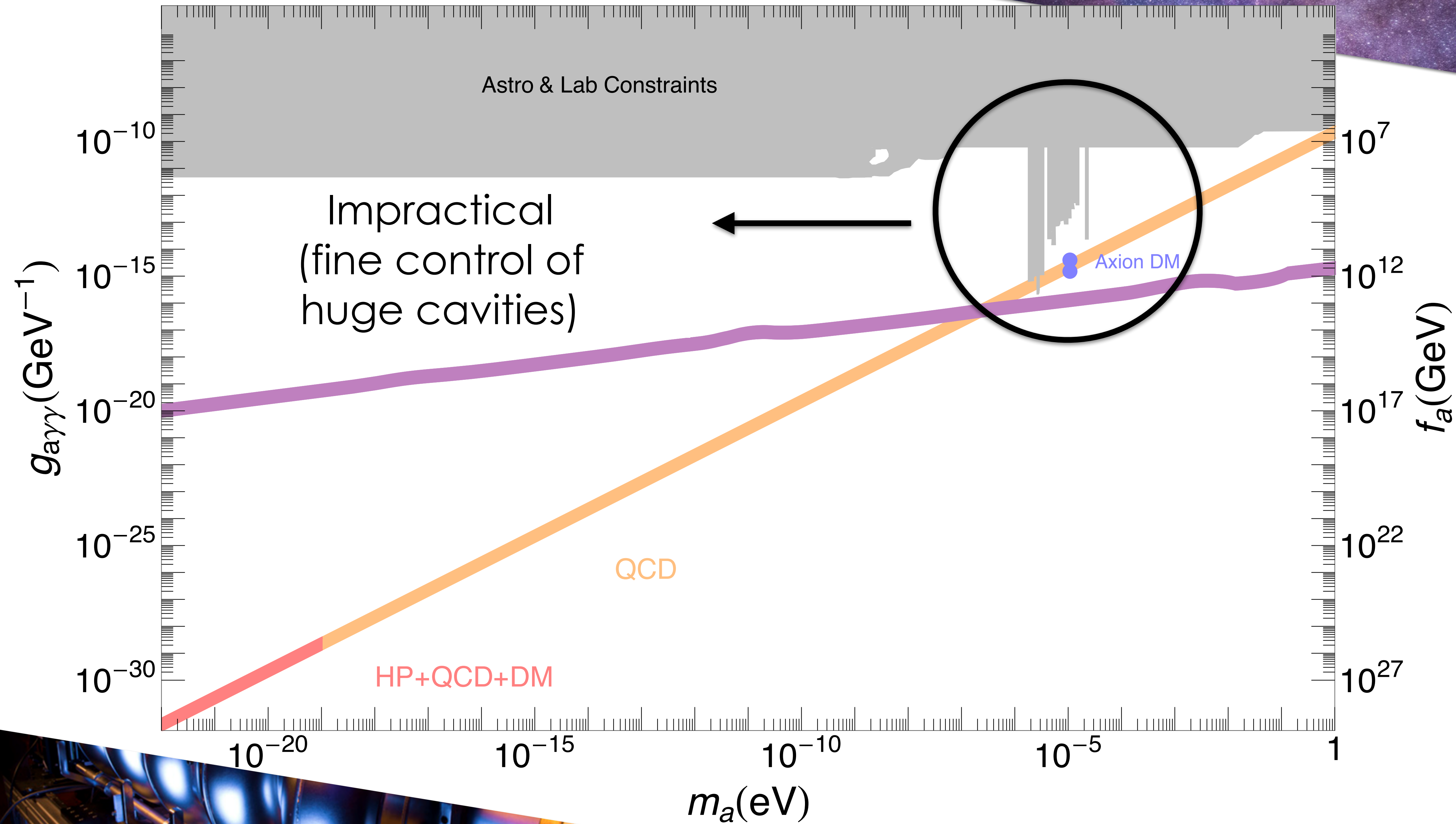
Cavity



$$m_\gamma \simeq \frac{1}{L}$$

AXION DARK MATTER DETECTION





Cavity:

$$\sum_n \left(\partial_t^2 + \frac{\omega_n}{Q_n} \partial_t + \omega_n^2 \right) \mathbf{E}_n = g_{a\gamma\gamma} \partial_t (\mathbf{B} \partial_t a)$$

Cavity:

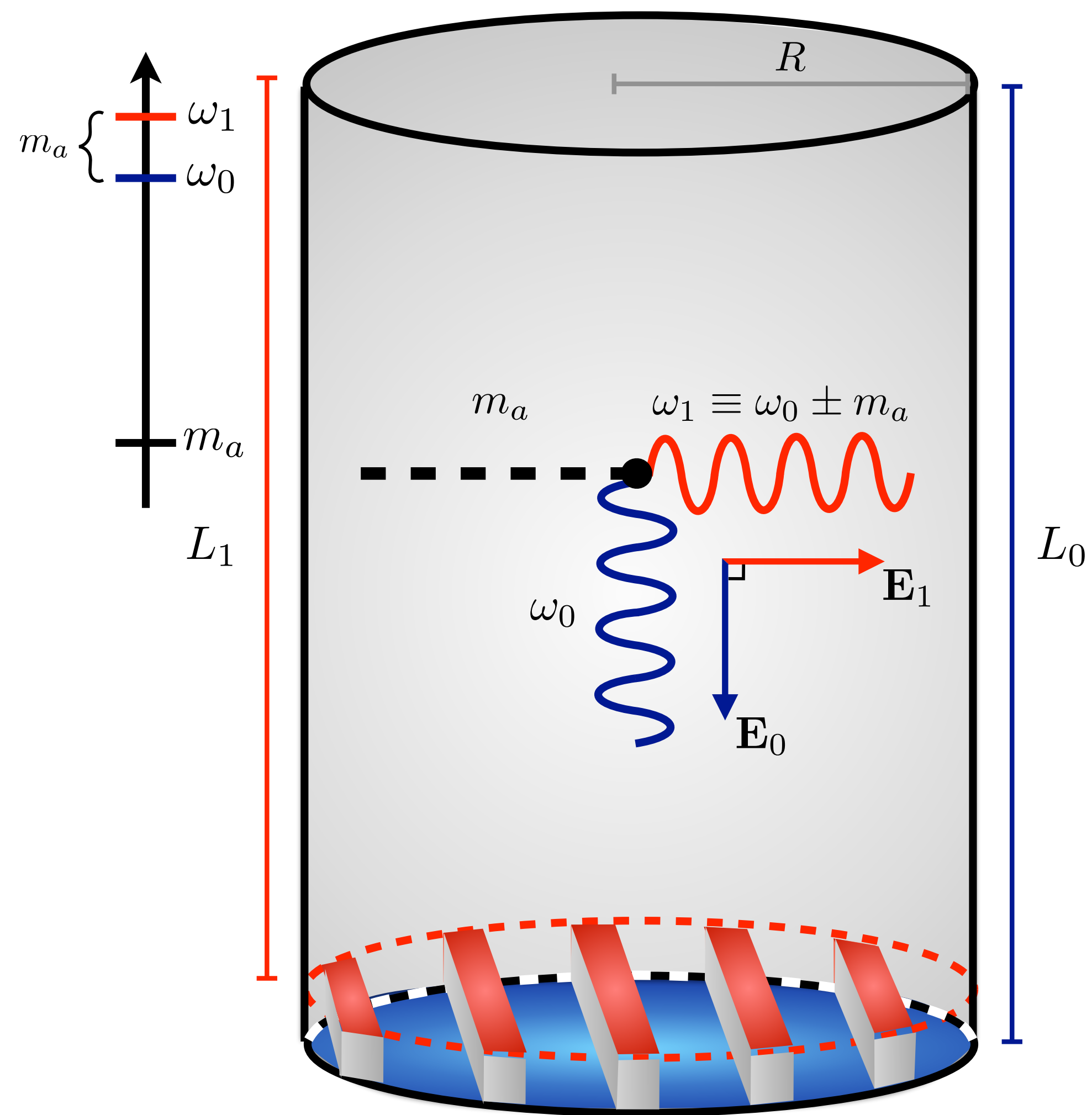
$$\sum_n \left(\partial_t^2 + \frac{\omega_n}{Q_n} \partial_t + \omega_n^2 \right) \mathbf{E}_n = g_{a\gamma\gamma} \partial_t (\mathbf{B} \partial_t a)$$

$$\omega_1 \simeq m_a \quad \partial_t (\mathbf{B}) \simeq 0$$

$$\left(\partial_t^2 + \frac{m_a}{Q_1} \partial_t + m_a^2 \right) \mathbf{E}_1 = g_{a\gamma\gamma} \mathbf{B} \sqrt{\rho_{\text{DM}}} m_a \cos m_a t$$

HETERODYNE DETECTION

[Berlin, RTD, S. Ellis, C. Nantista, J. Nielson, P. Schuster, S. Tantawi, N. Toro, K. Zhou '19]



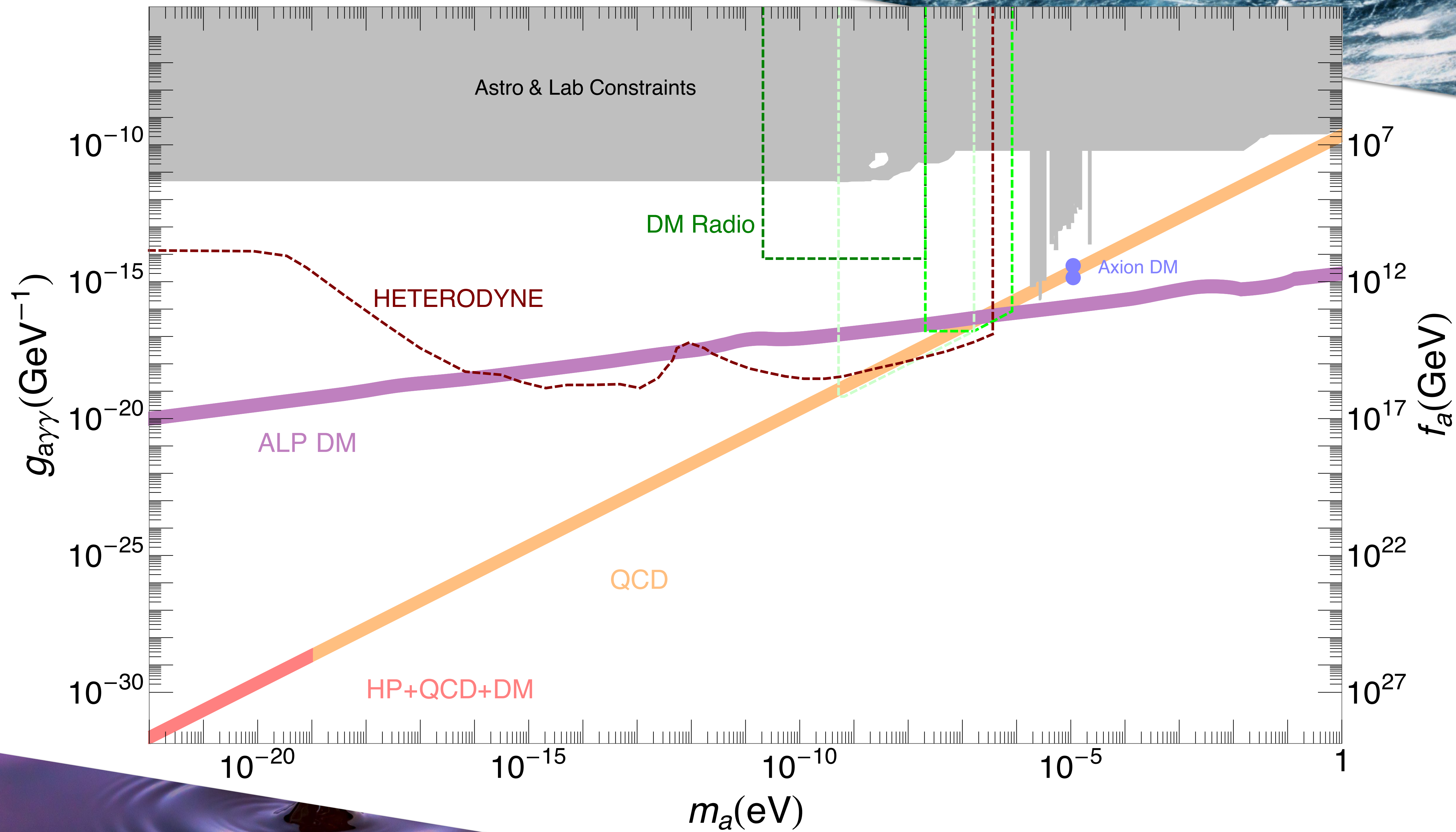
HETERODYNE DETECTION

[Berlin, RTD, S. Ellis, C. Nantista, J. Nielson, P. Schuster, S. Tantawi, N. Toro, K. Zhou '19]

$$\sum_n \left(\partial_t^2 + \frac{\omega_n}{Q_n} \partial_t + \omega_n^2 \right) \mathbf{E}_n = g_{a\gamma\gamma} \partial_t (\mathbf{B} \partial_t a)$$

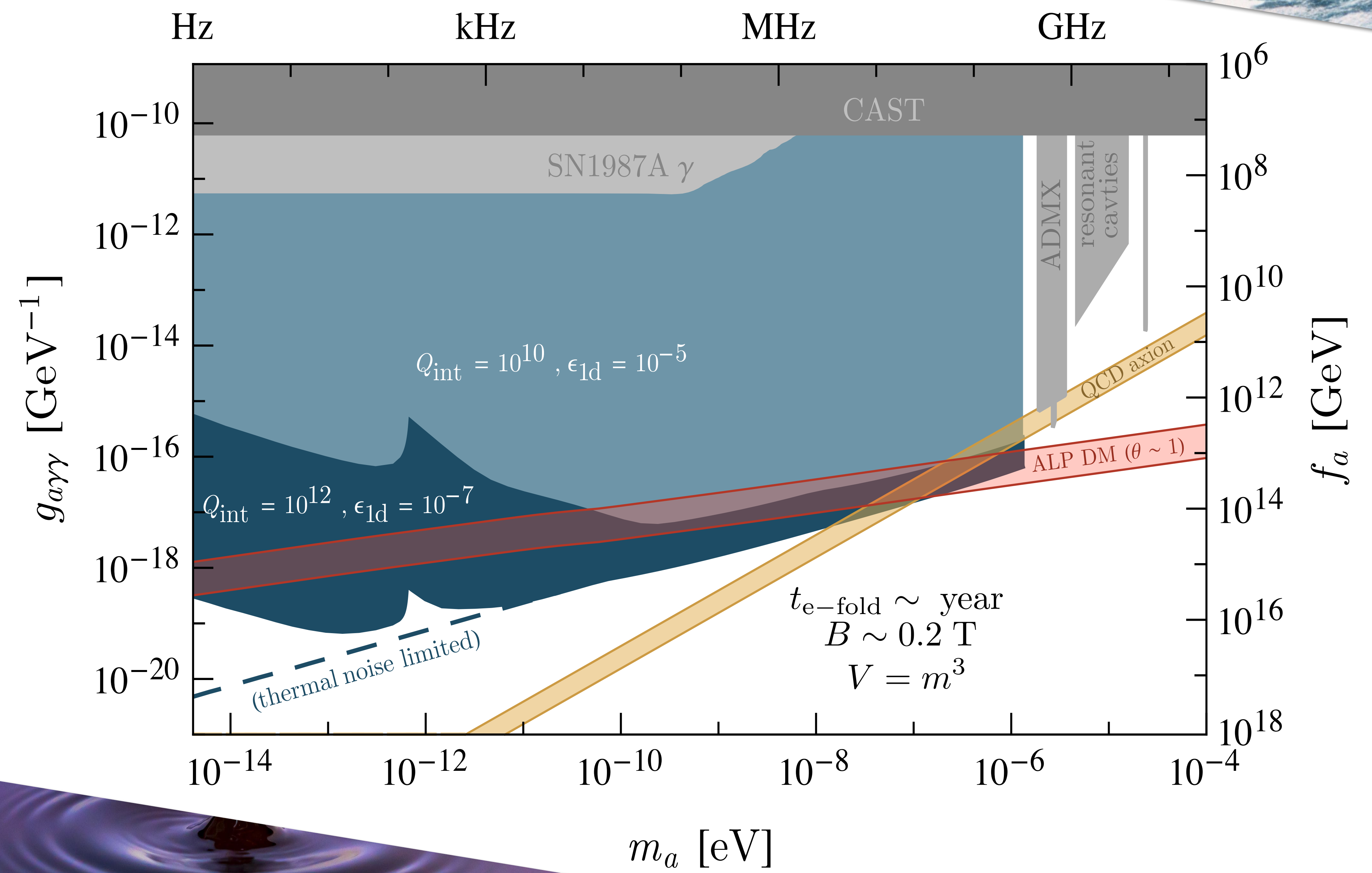
$$\partial_t (\mathbf{B}) \simeq i\omega_0 \mathbf{B} \quad \omega_1 \simeq \omega_0 + m_a$$

$$\partial_t J_{\text{eff}} = g_{a\gamma\gamma} \partial_t (\mathbf{B} \partial_t a) \propto \omega_0 m_a \gg m_a^2$$



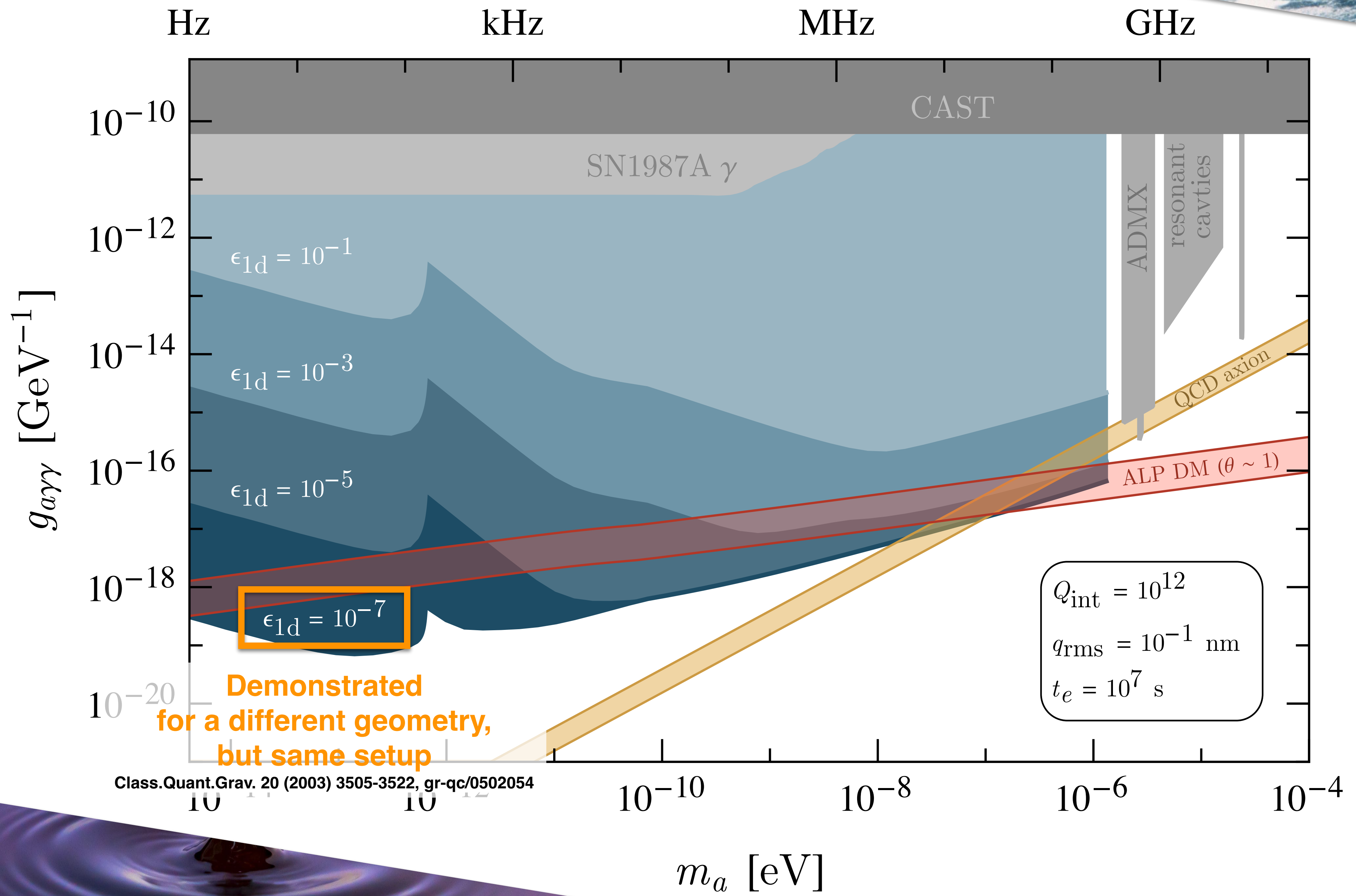
RESONANT

$$\text{frequency} = m_a / 2\pi$$



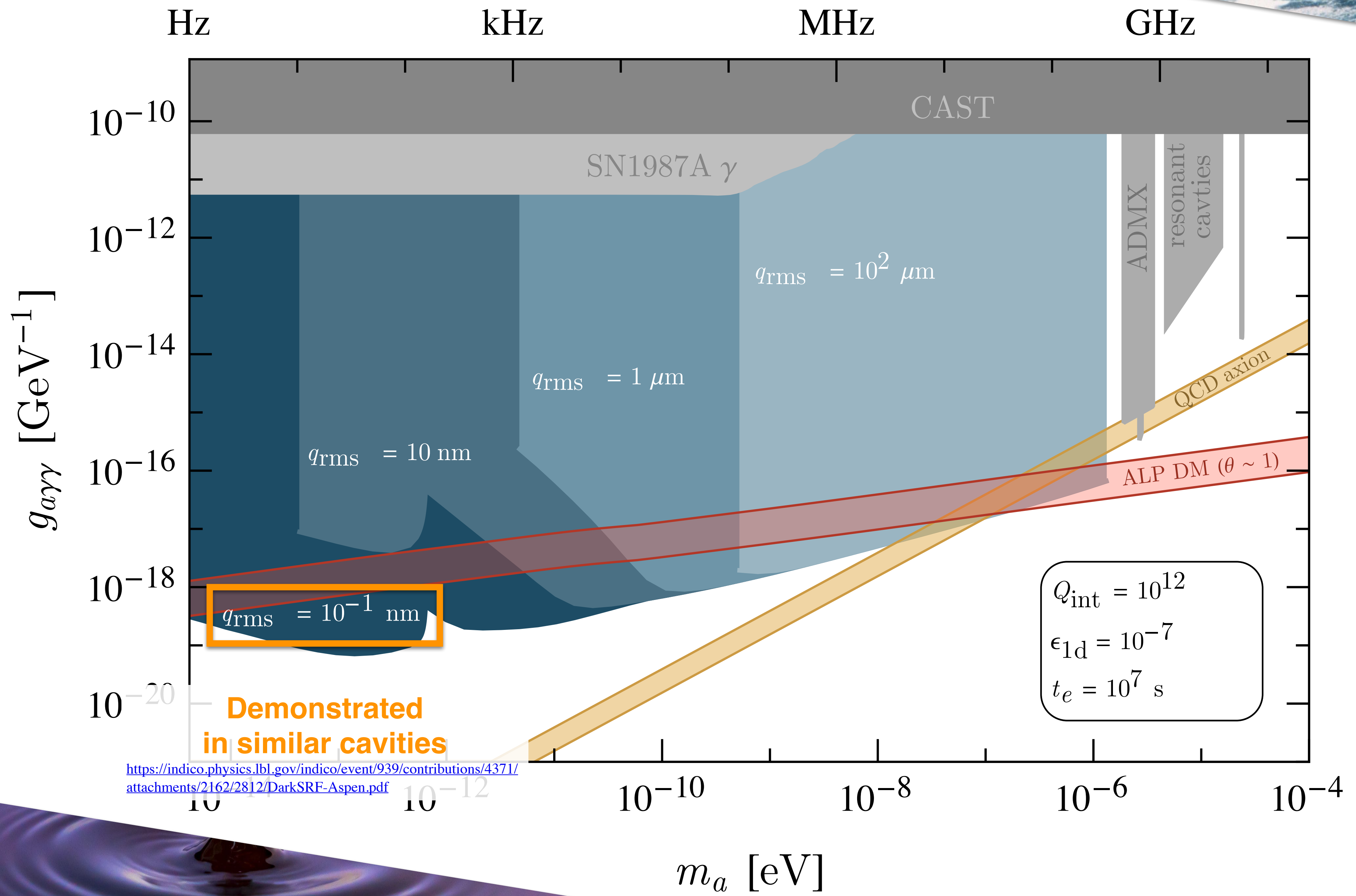
RESONANT

$$\text{frequency} = m_a / 2\pi$$



RESONANT

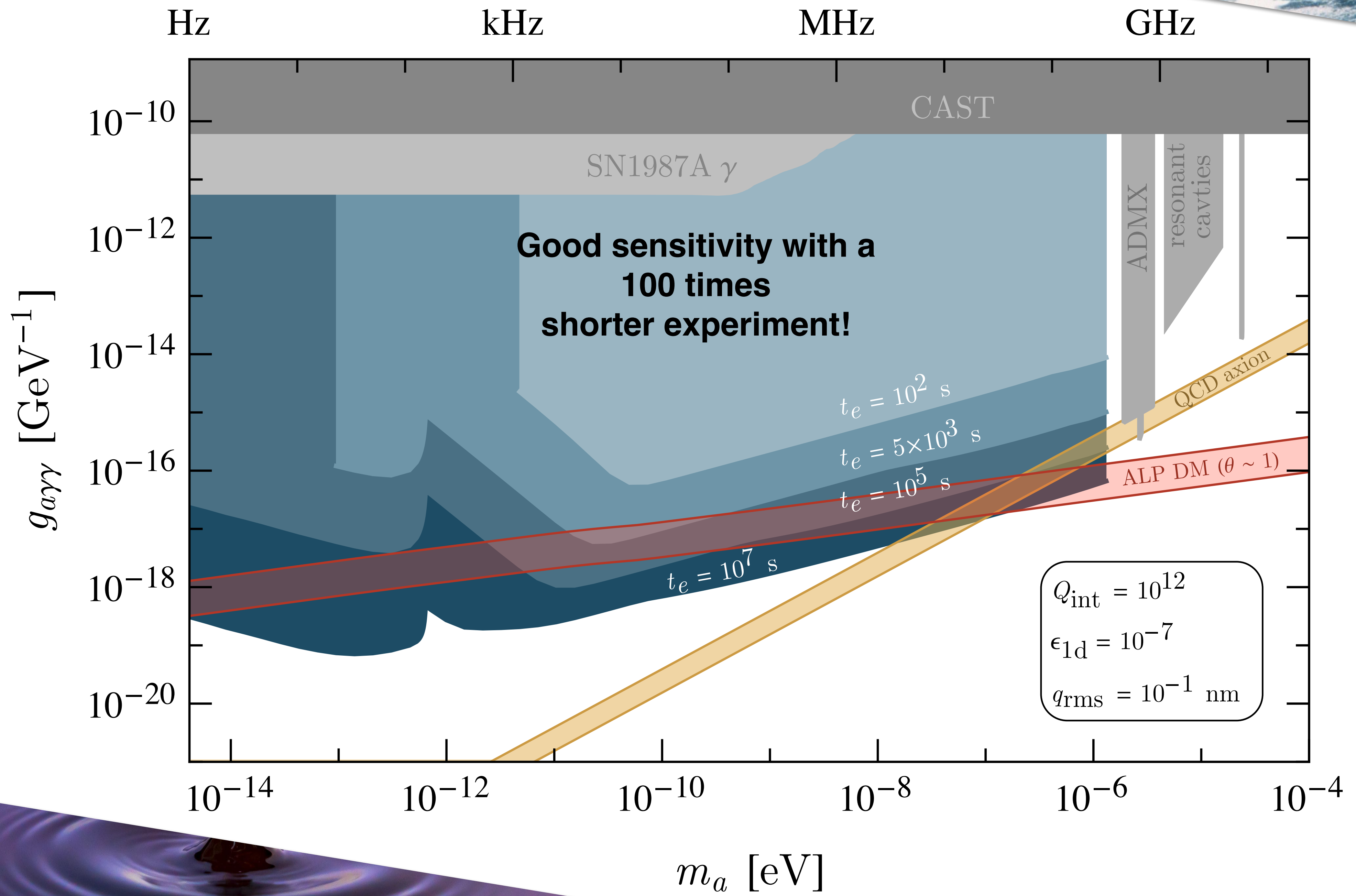
$$\text{frequency} = m_a / 2\pi$$



<https://indico.physics.lbl.gov/indico/event/939/contributions/4371/attachments/2162/2812/DarkSRF-Aspen.pdf>

RESONANT

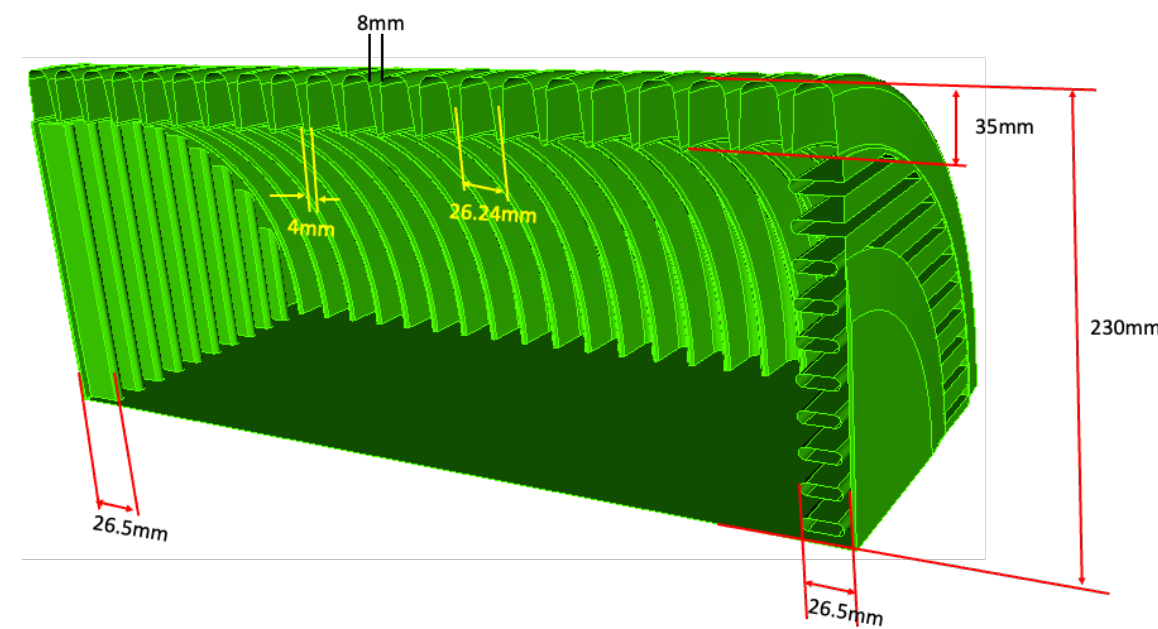
$$\text{frequency} = m_a / 2\pi$$



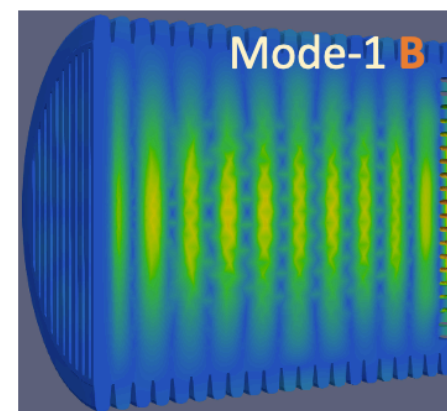
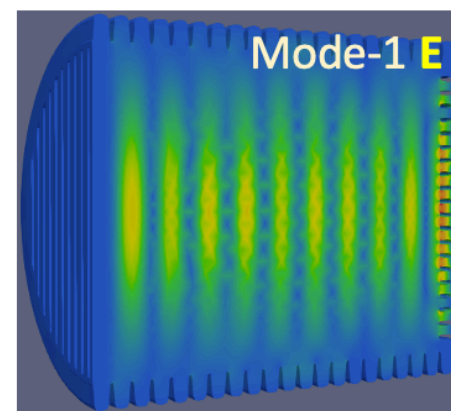
TWO PROTOTYPES [~ 1 YEAR]



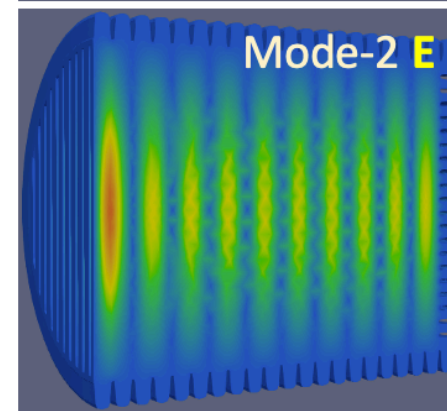
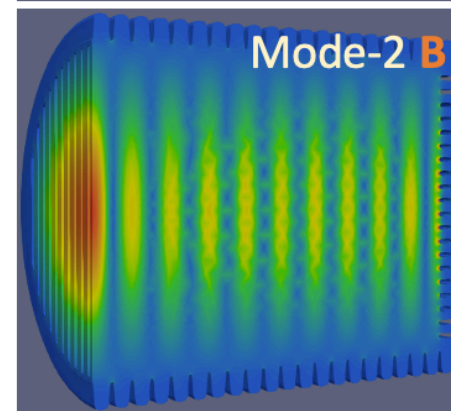
LDRD [only internal documents]



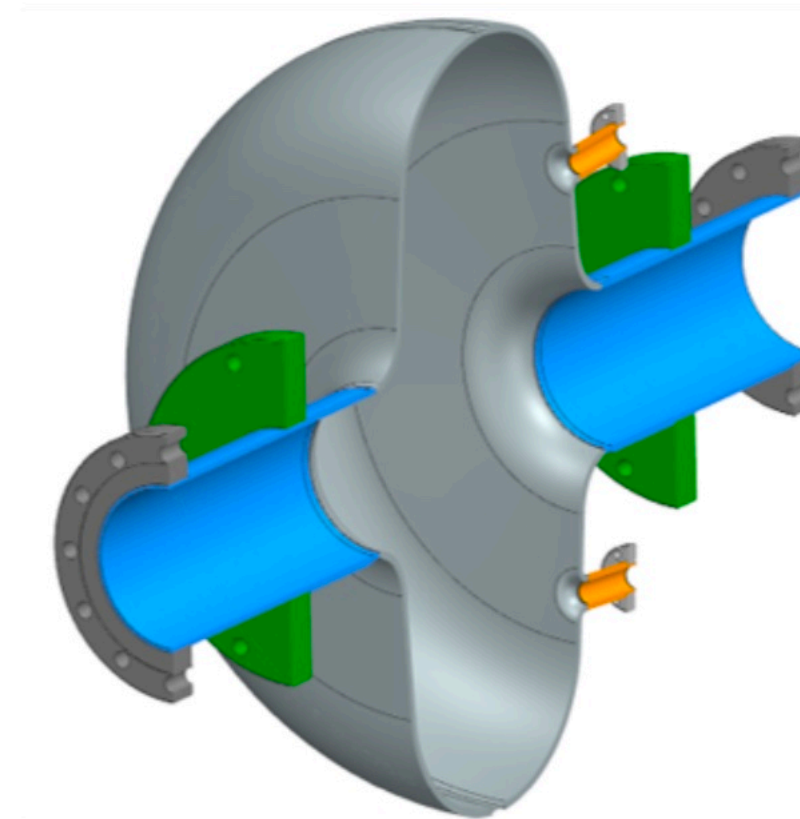
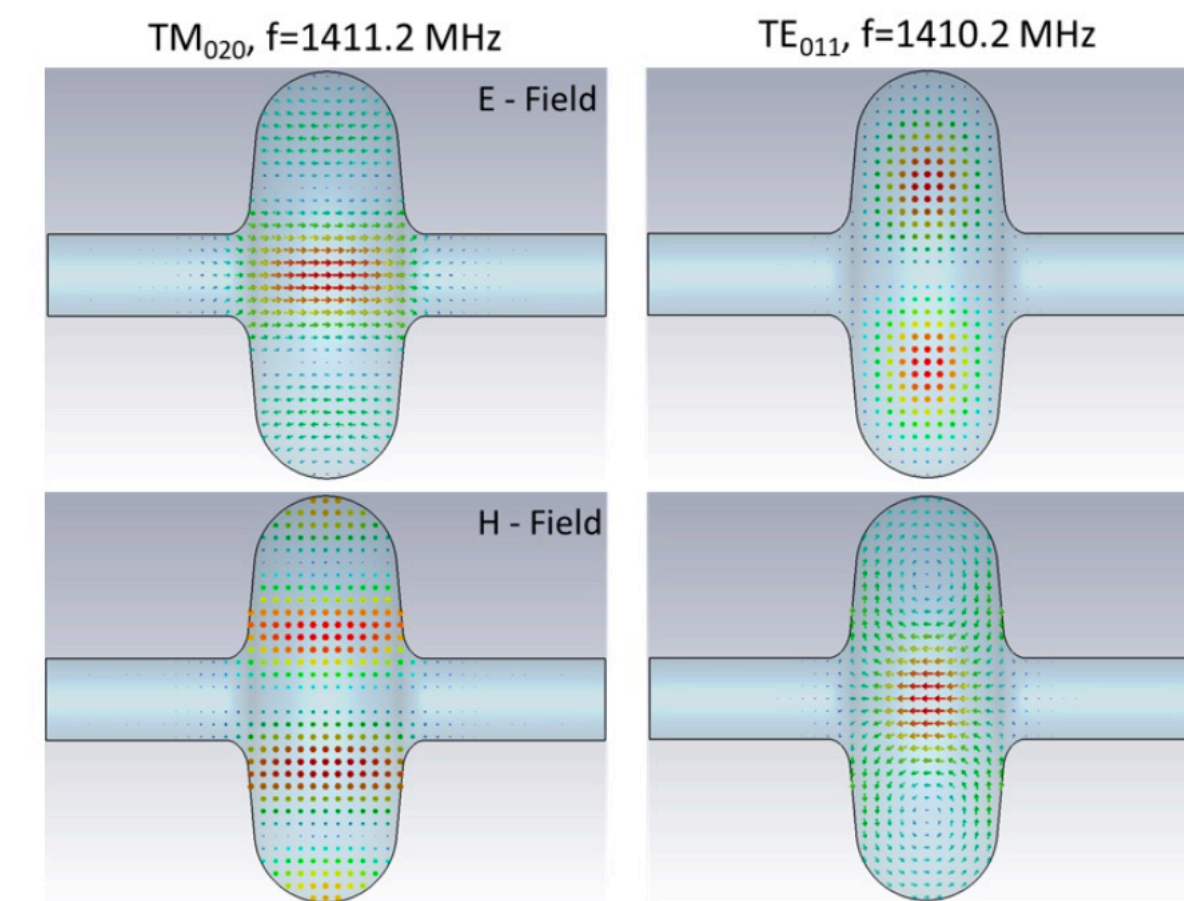
HE11
polarization-1 (E,B)



HE11
polarization-2 (B,E)




arXiv:2207.11346



GRAVITATIONAL WAVES




$$S \supset -\frac{1}{2} \int d^4x j_{\text{eff}}^\mu A_\mu$$

GW

$$j_{\text{eff}}^\mu = \partial_\nu \left(\frac{1}{2} h \underline{F^{\mu\nu}} + h^\nu_\alpha \underline{F^{\alpha\mu}} - h^\mu_\alpha \underline{F^{\alpha\nu}} \right)$$

Axion

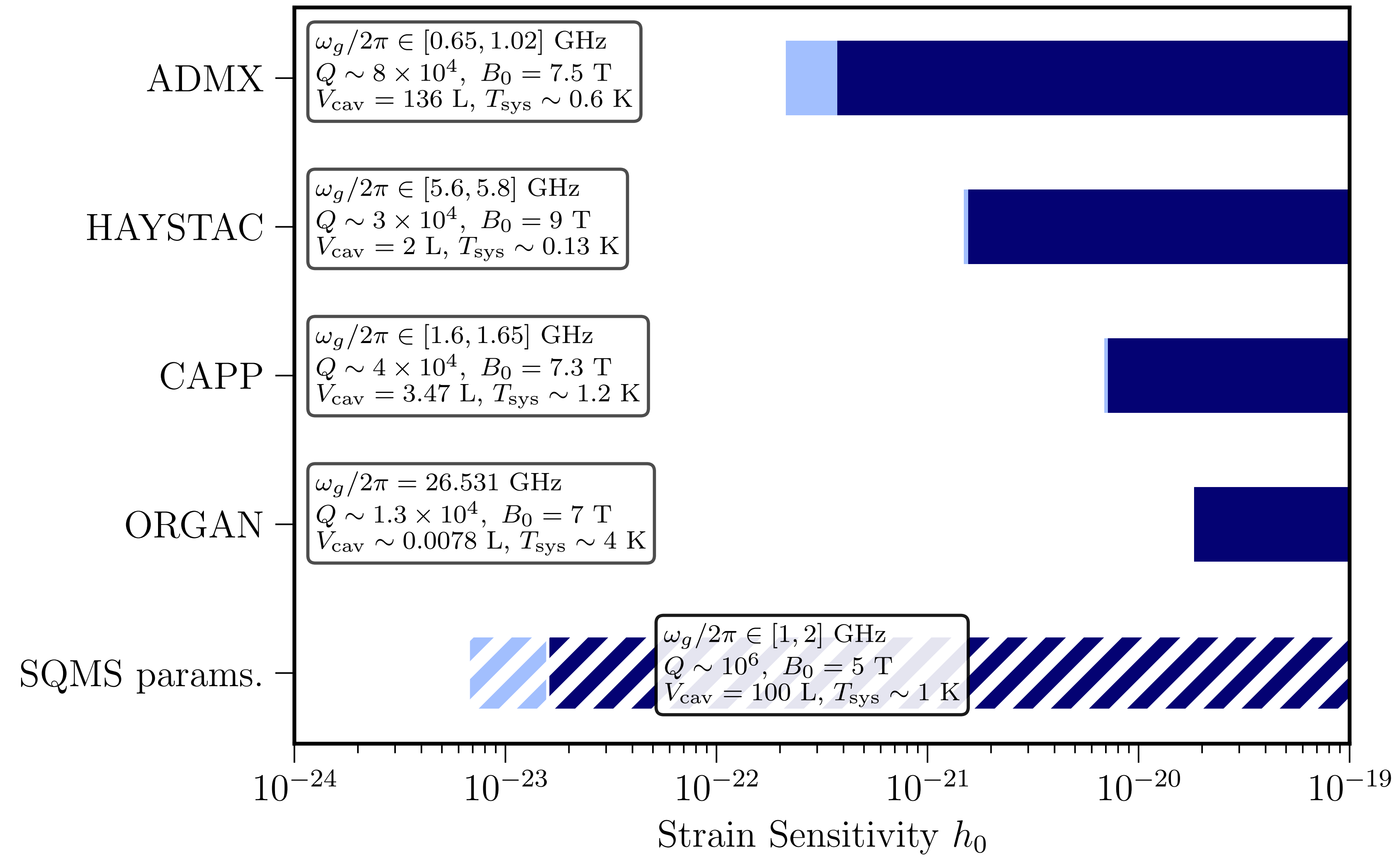
$$j_{\text{eff}}^\mu = \epsilon^{\mu\nu\rho\sigma} \partial_\nu (a \underline{F_{\rho\sigma}})$$

depends on the background field in the laboratory

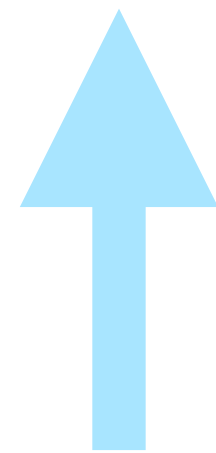


GRAVITATIONAL WAVE DETECTION

Projected Sensitivities of Axion Experiments



$$E_{\text{sig}} \sim \frac{\partial_t j_{\text{eff}}}{\omega_1^2}$$



$$\partial_t j_{\text{eff}} \sim \partial_t^2 (RB_0) \sim \omega_g^2 (hB_0) (\omega_g L_{\text{cav}})^2$$

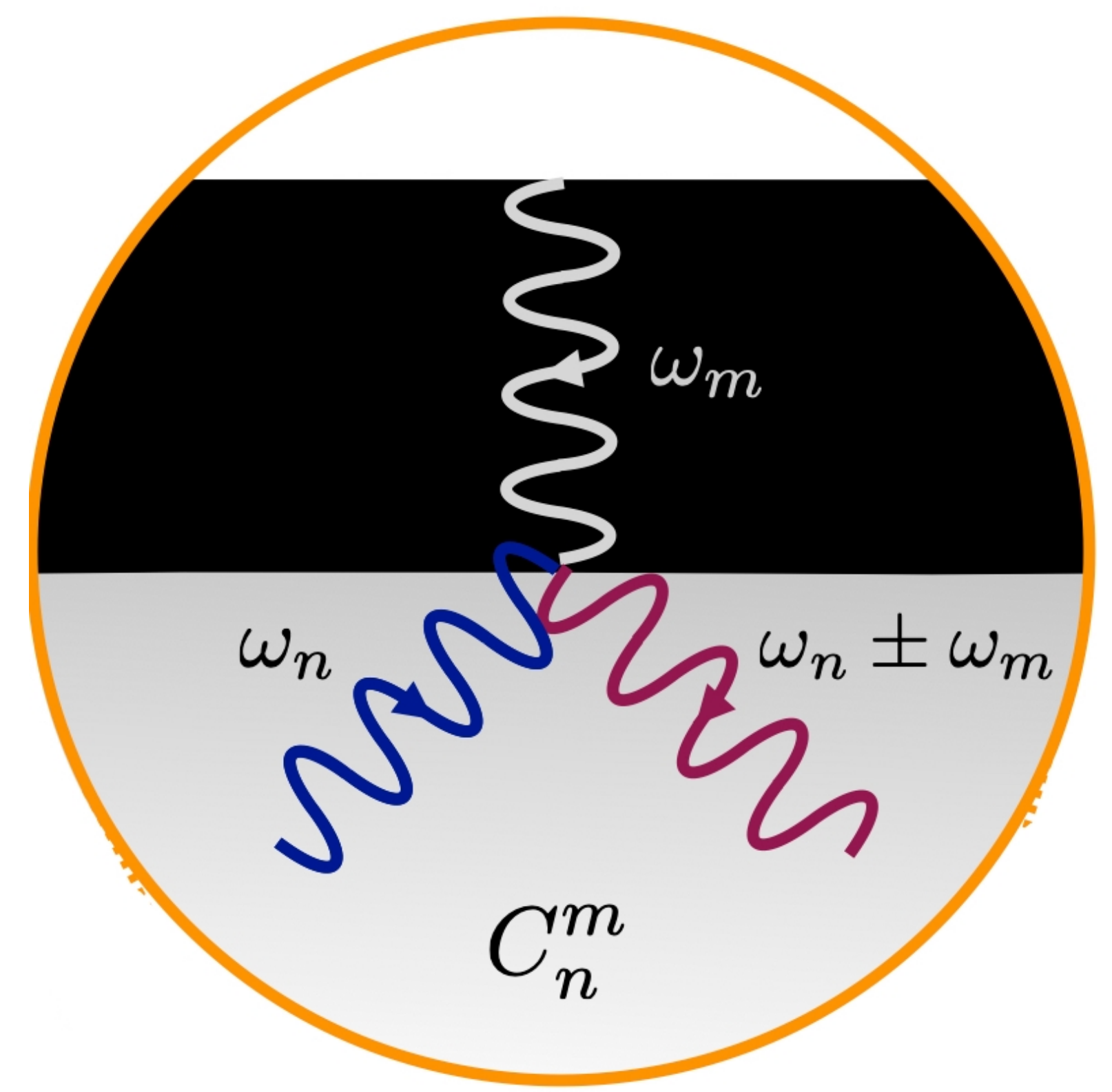
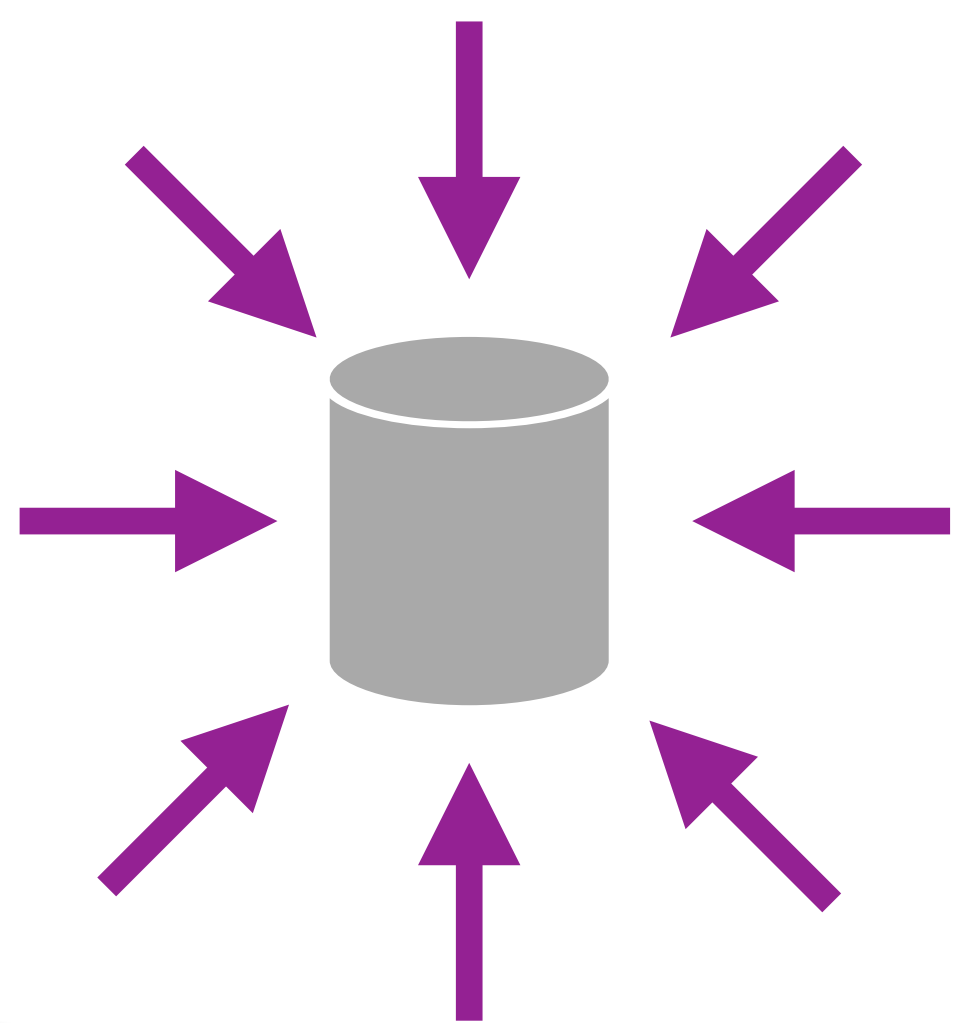
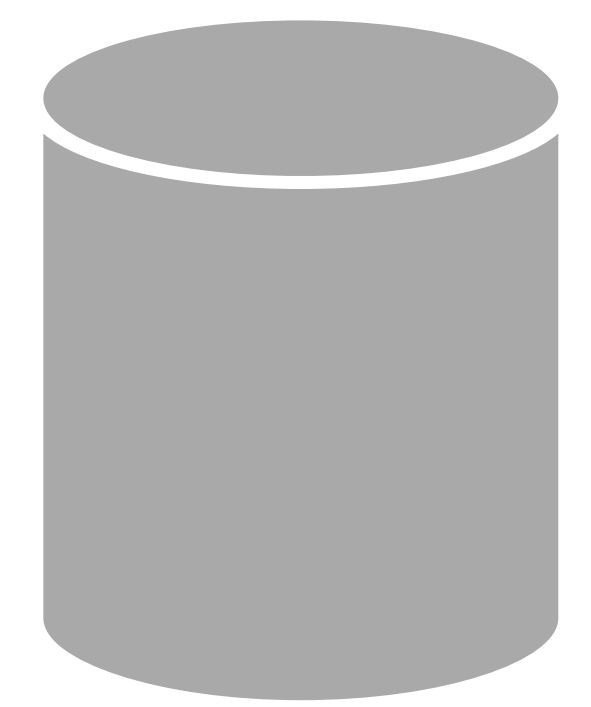
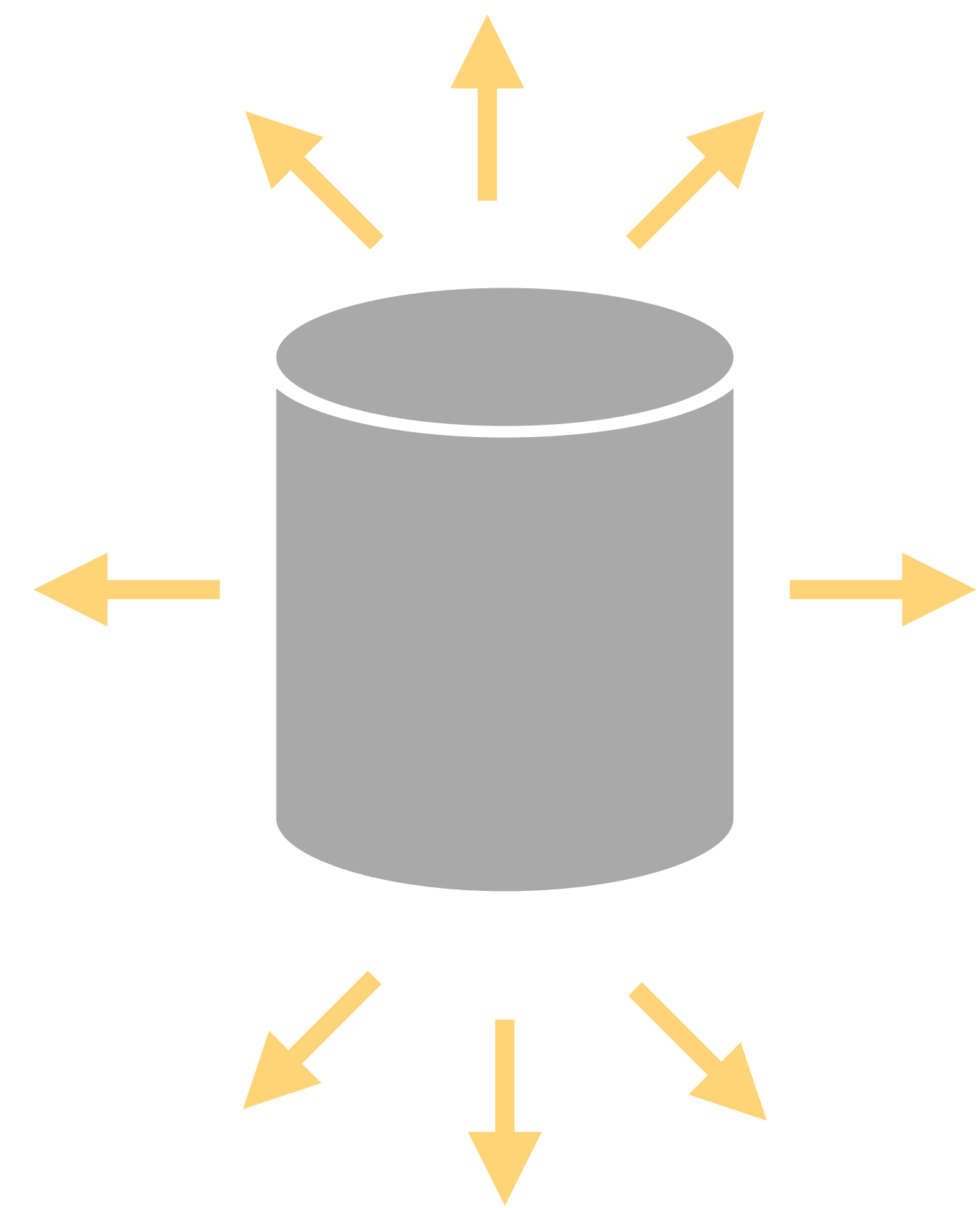
Heterodyne Detection

$$\dot{B}_0 \neq 0$$



$$\partial_t j_{\text{eff}} \sim \partial_t^2 (RB_0) \sim \omega_0^2 (hB_0) (\omega_g L_{\text{cav}})^2$$

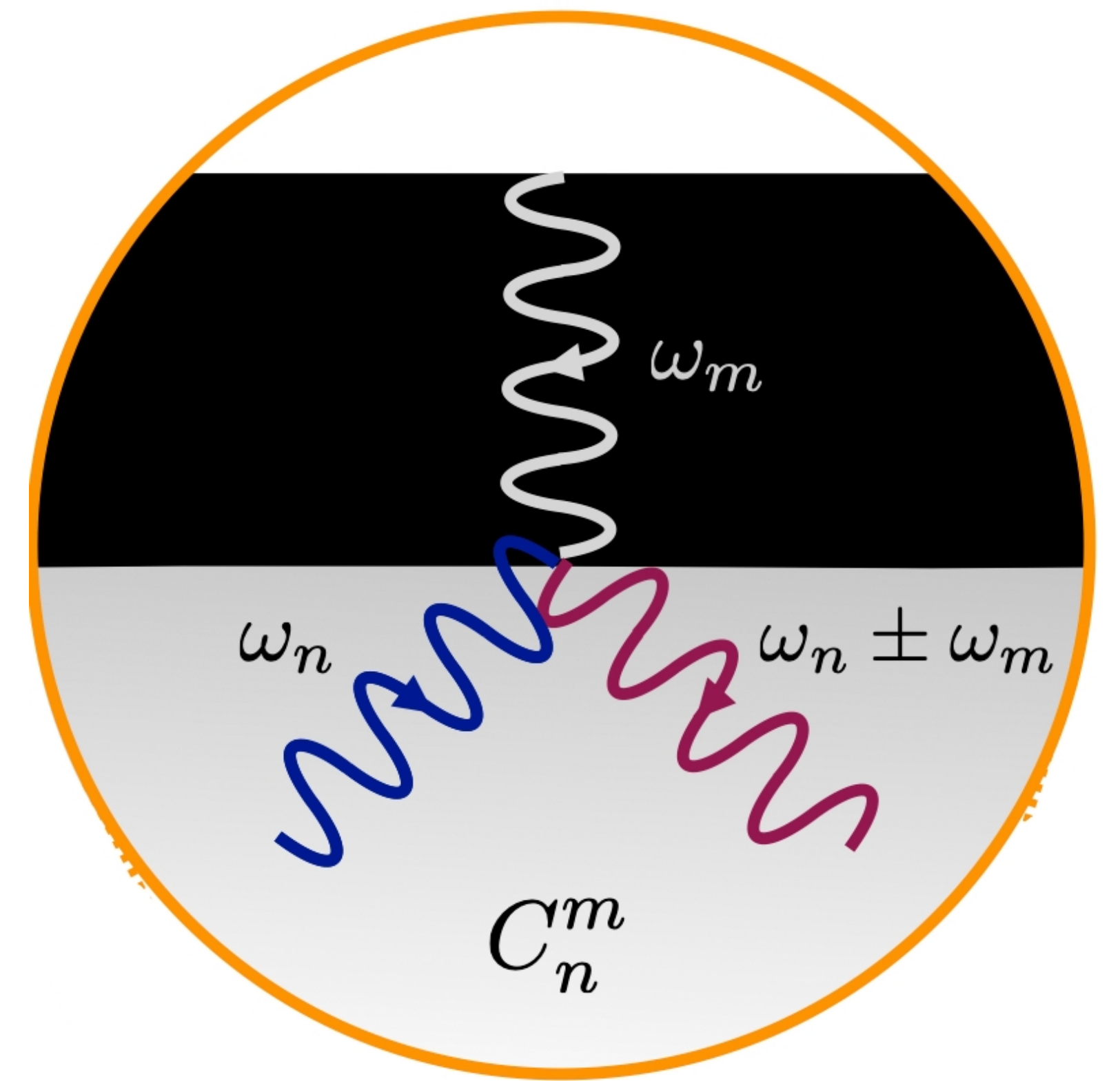
Better, but not much better



Mechanical Mode

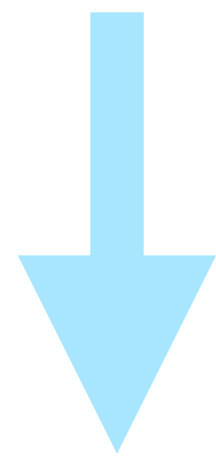
$$\left(\partial_t^2 + \frac{\omega_m}{Q_m} \partial_t + \omega_m^2 \right) \underline{u_m} = \frac{F_m}{M_{\text{cav}}}$$

MECHANICAL



Mechanical Mode

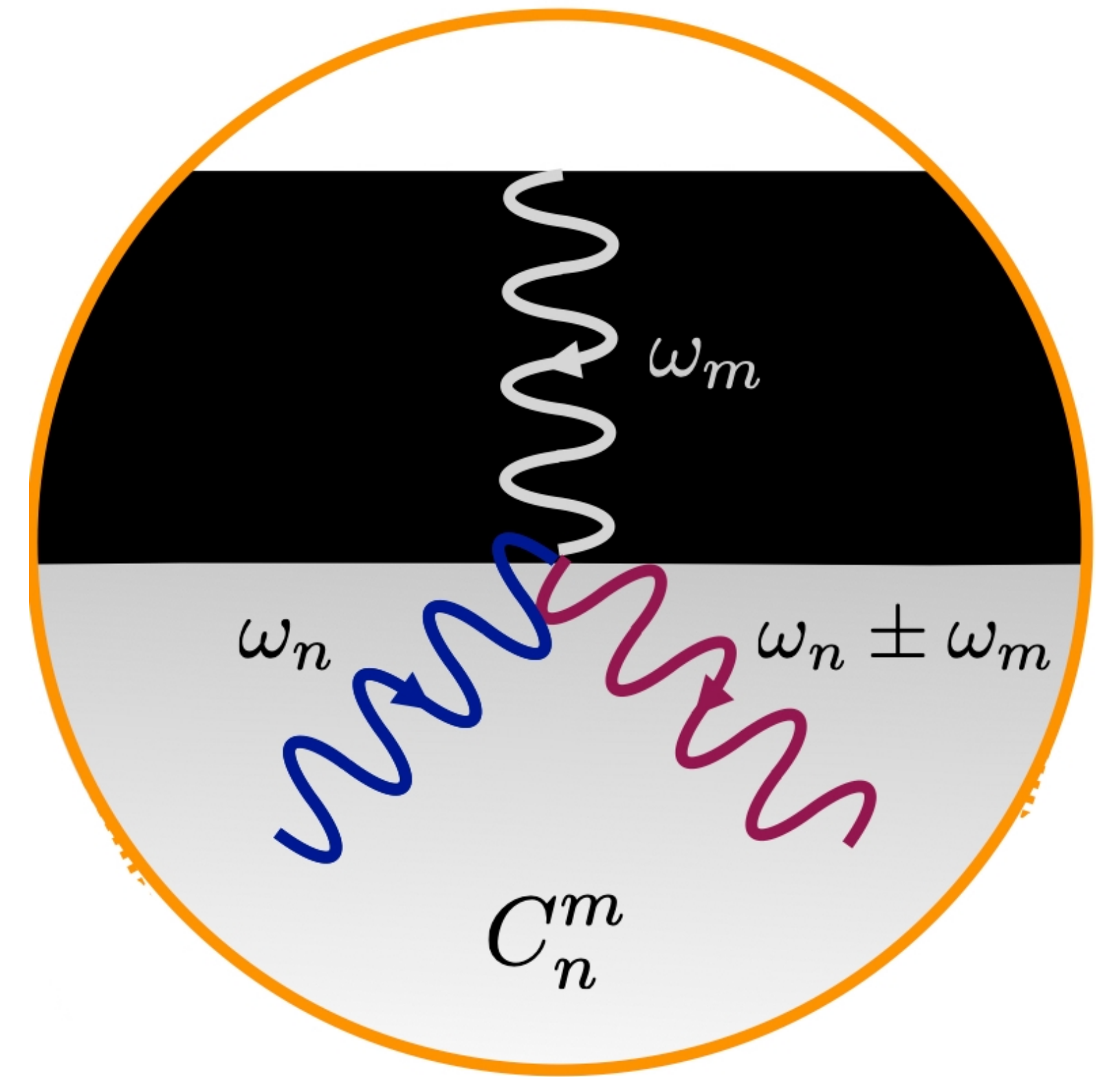
$$\left(\partial_t^2 + \frac{\omega_m}{Q_m} \partial_t + \omega_m^2 \right) \underline{u_m} = \frac{F_m}{M_{\text{cav}}}$$



$$\omega_g \simeq \omega_m$$

$$u_m \simeq Q_m h L_{\text{cav}}$$

MECHANICAL



HETERODYNE READOUT

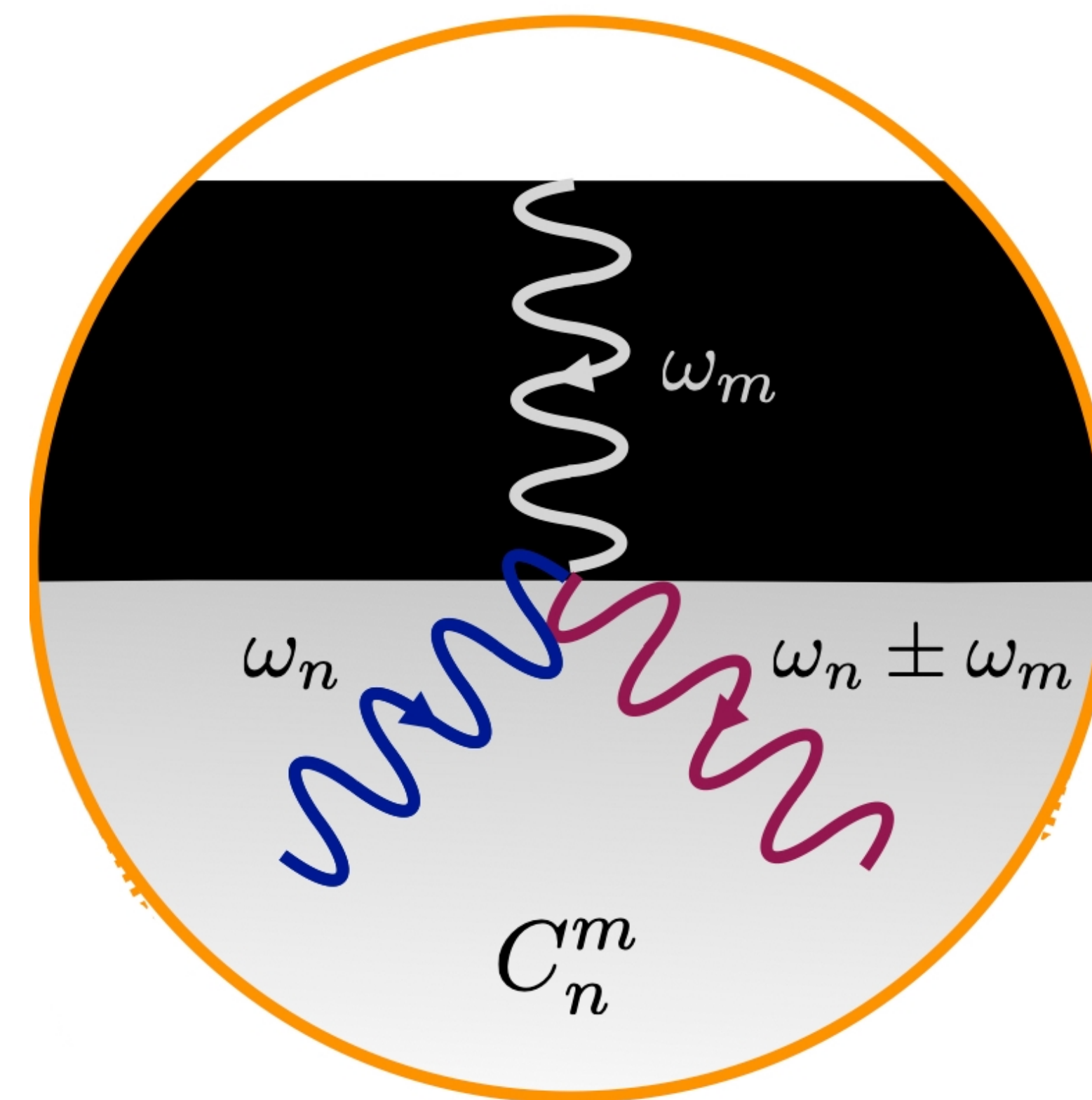
On resonance

$$E_{\text{sig}} \sim Q_m Q_1 (hB_0)$$

Below resonance

$$E_{\text{sig}} \sim Q_1 (hB_0) \frac{\omega_g^2}{(\omega_m^{\text{min}})^2}$$

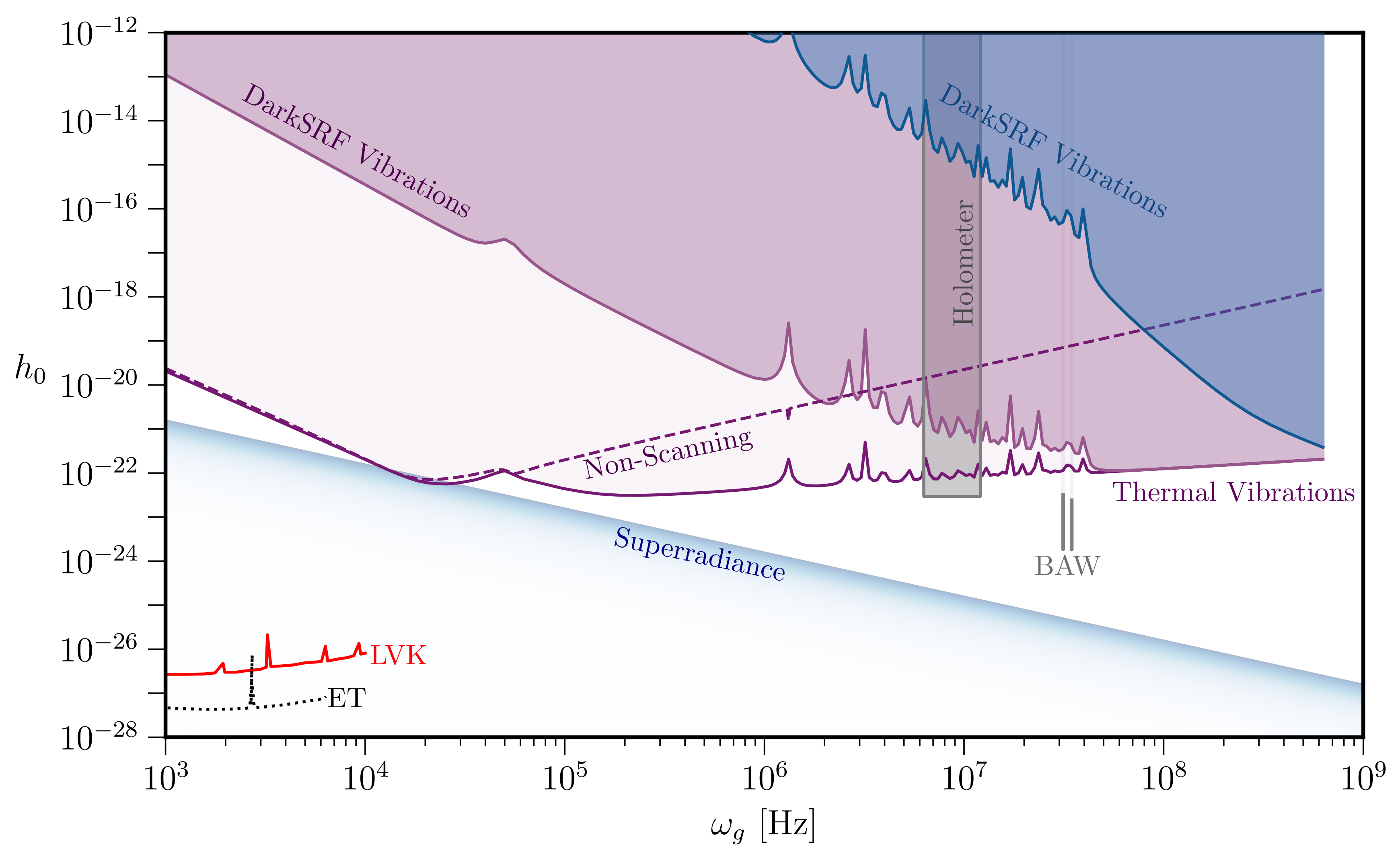
MECHANICAL



MECHANICAL VS ELECTROMAGNETIC RESONANCE

$$\omega_m \approx \frac{c_s}{L} \ll \omega_{\text{em}} \approx \frac{c}{L}$$

MONOCHROMATIC SIGNAL



Berlin, Blas, D'Agnolo, Ellis, Harnik, Kahn, Schutte-Engel, Wentzel '23
arXiv:2303.01518

EXISTING PROTOTYPE



MAGO '05



R. Ballantini, A. Chincarini, S. Cuneo, G. Gemme,* R. Parodi, A. Podest`a, and R. Vaccarone

INFN and Universita` degli Studi di Genova, Genova, Italy

Ph. Bernard, S. Calatroni, E. Chiaveri, and R. Losito

CERN, Geneva, Switzerland

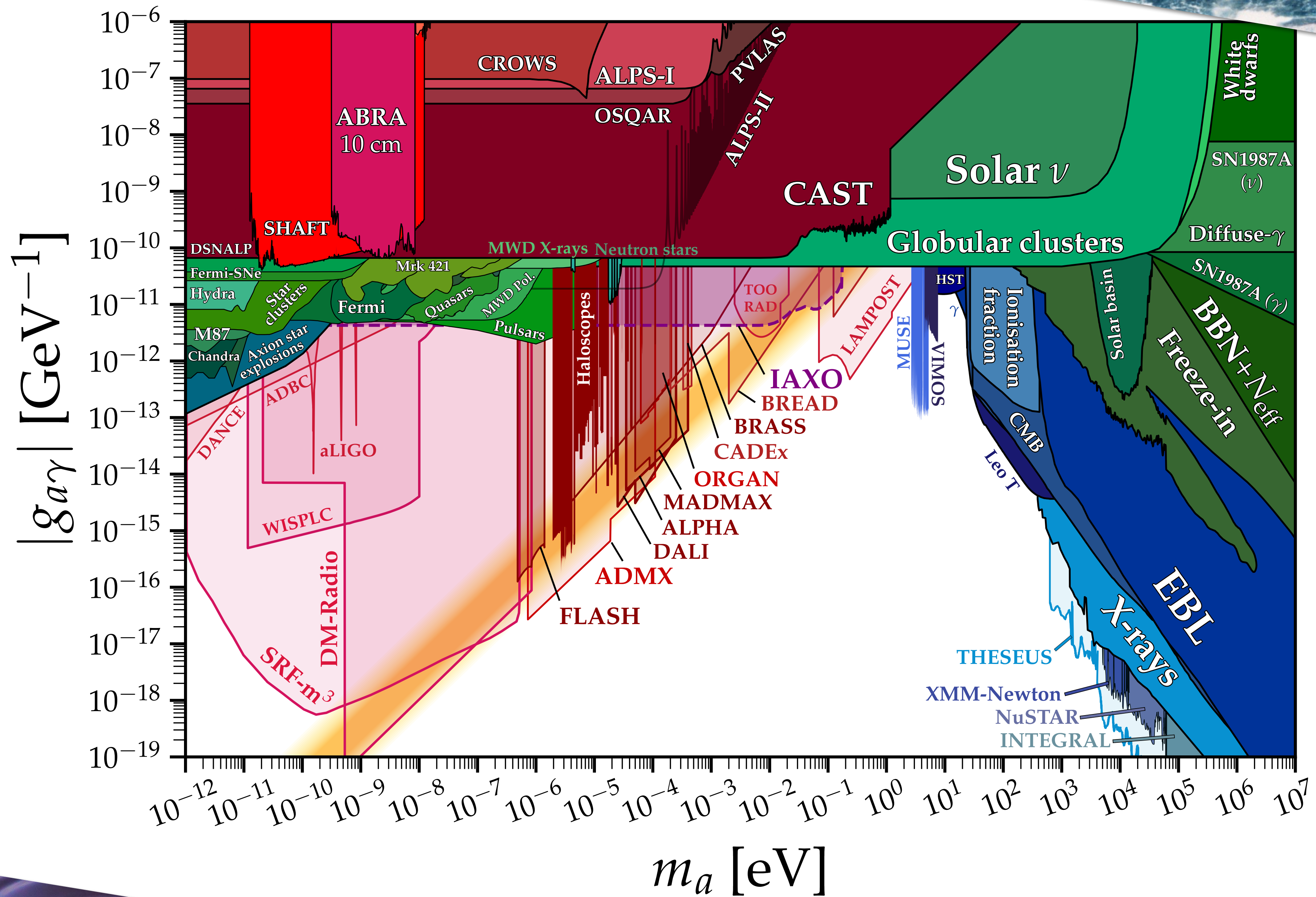
R.P. Croce, V. Galdi, V. Pierro, and I.M. Pinto

INFN, Napoli, and Universita` degli Studi del Sannio, Benevento, Italy

E. Picasso

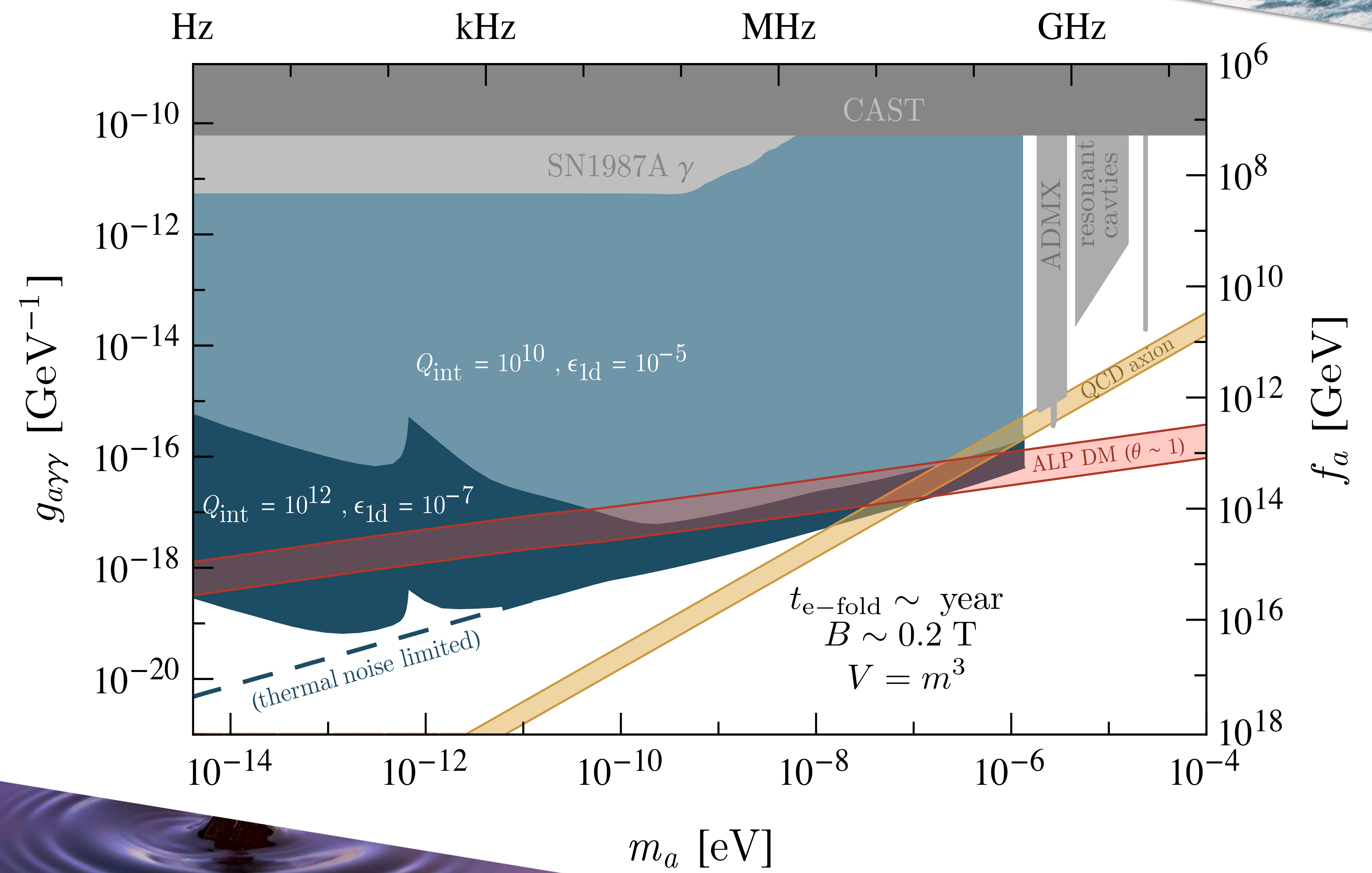
INFN and Scuola Normale Superiore, Pisa, Italy and CERN, Geneva, Switzerland

BACKUP



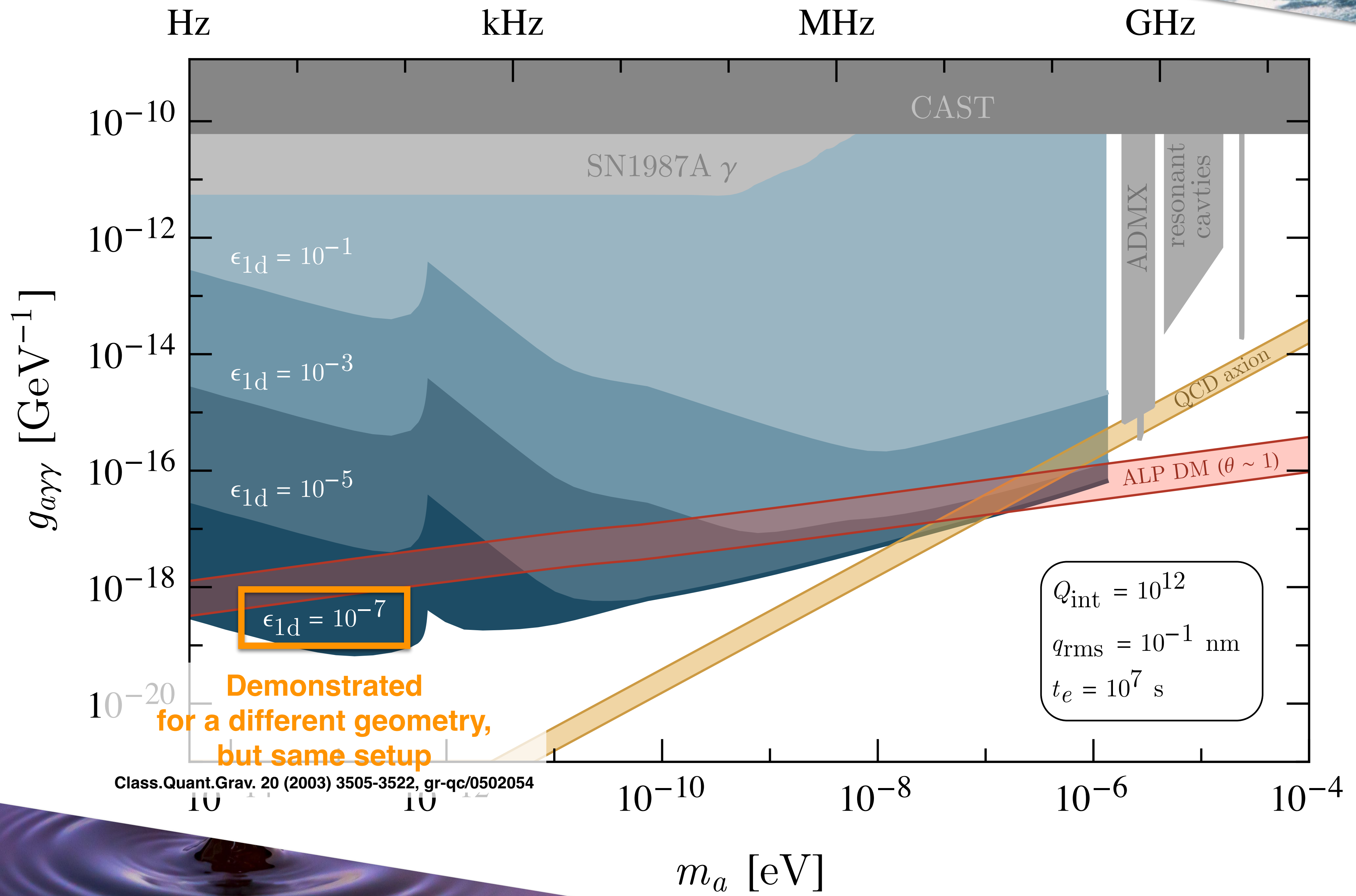
RESONANT

frequency = $m_a/2\pi$



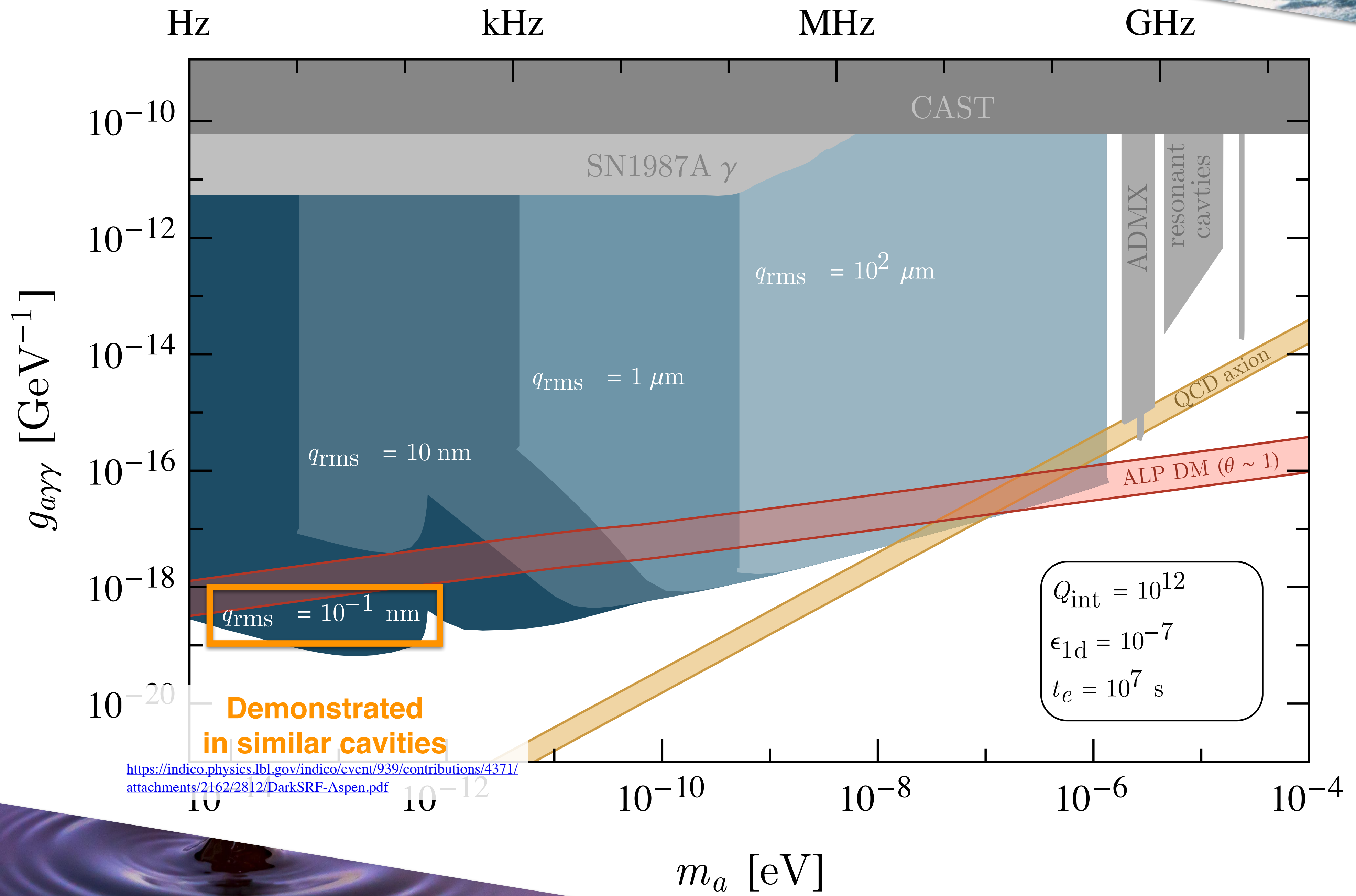
RESONANT

$$\text{frequency} = m_a / 2\pi$$



RESONANT

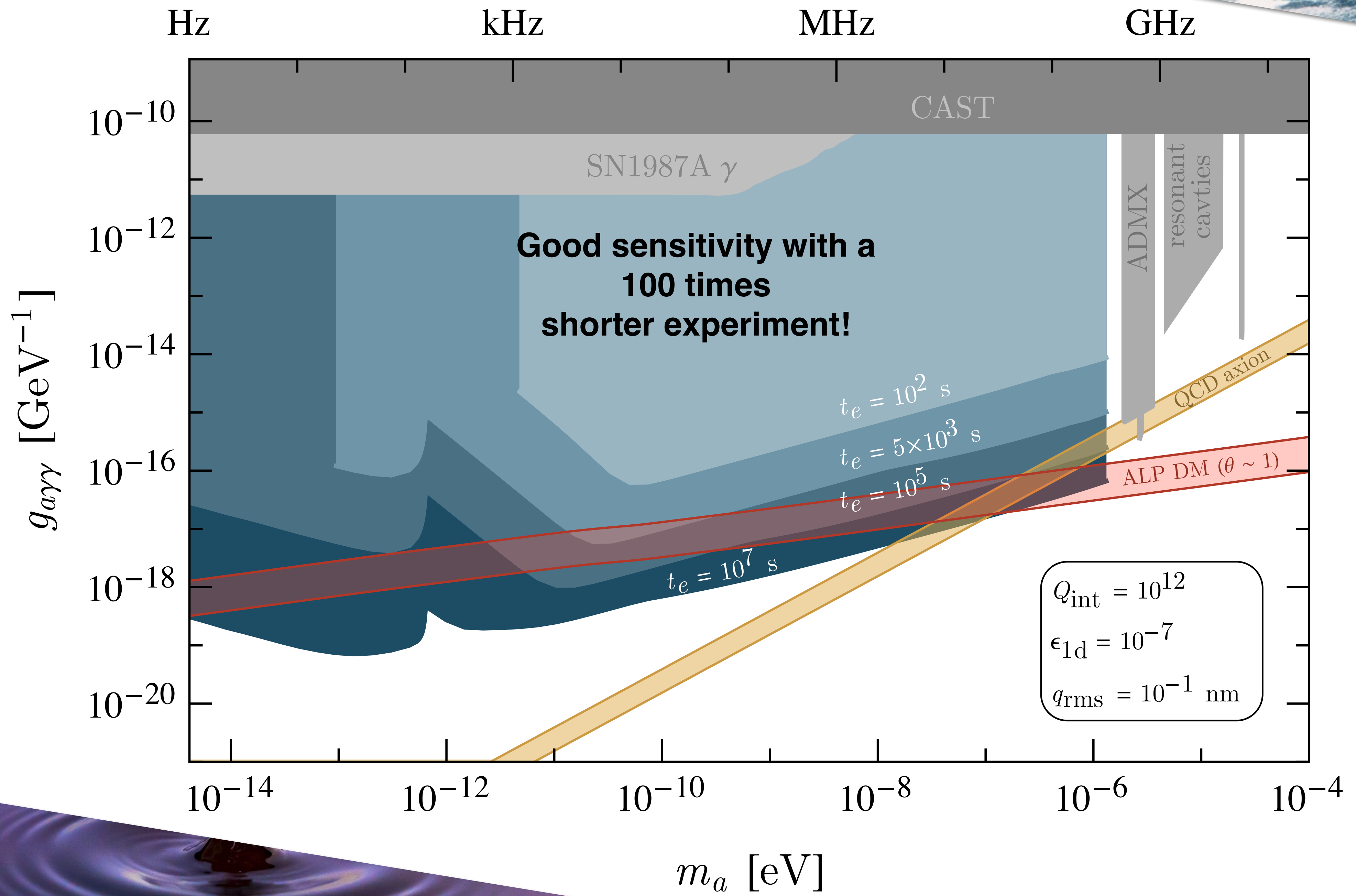
$$\text{frequency} = m_a / 2\pi$$



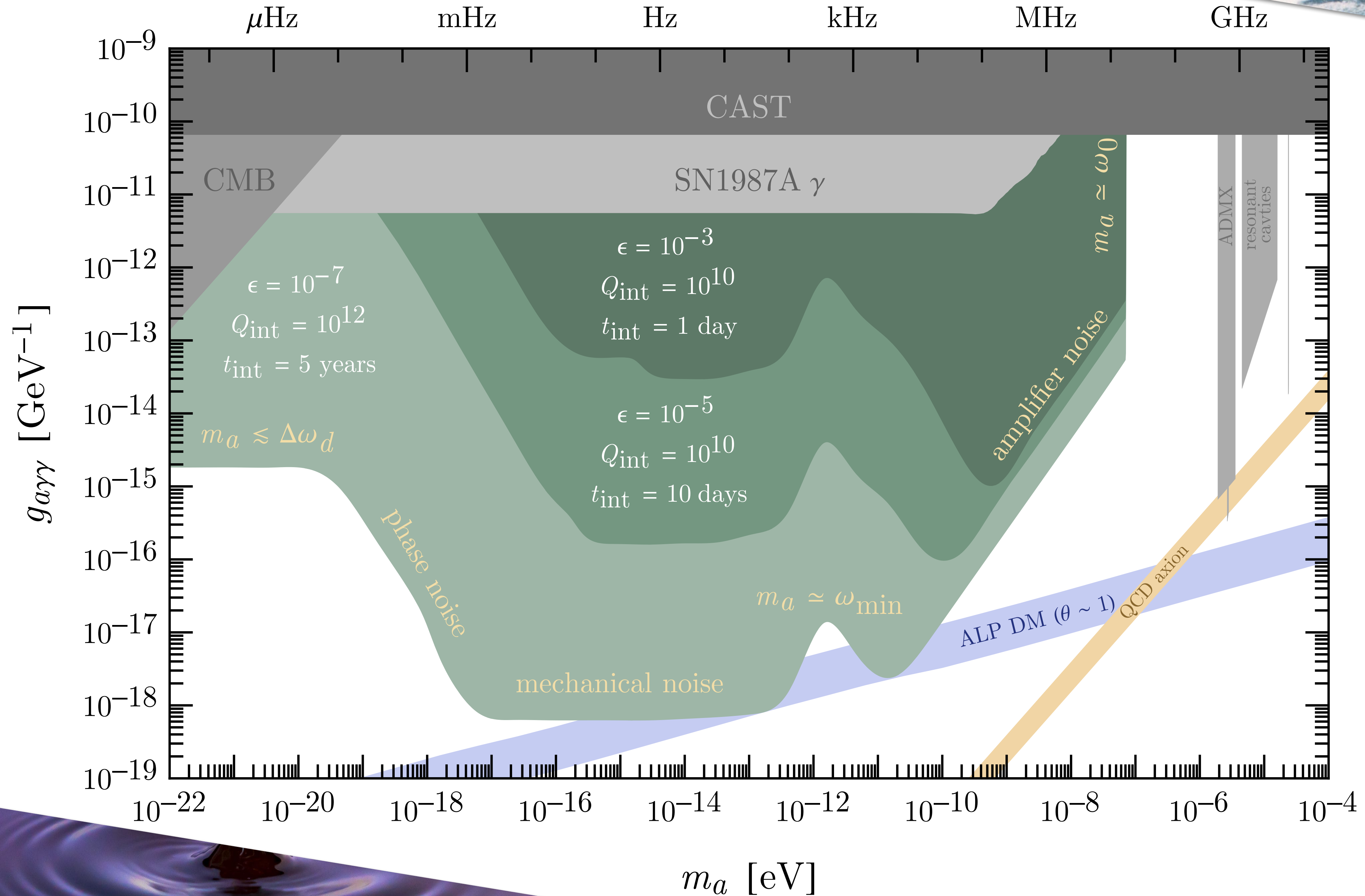
<https://indico.physics.lbl.gov/indico/event/939/contributions/4371/attachments/2162/2812/DarkSRF-Aspen.pdf>


RESONANT

$$\text{frequency} = m_a / 2\pi$$




A. Berlin, RTD, S. Ellis, K. Zhou 2007.15656





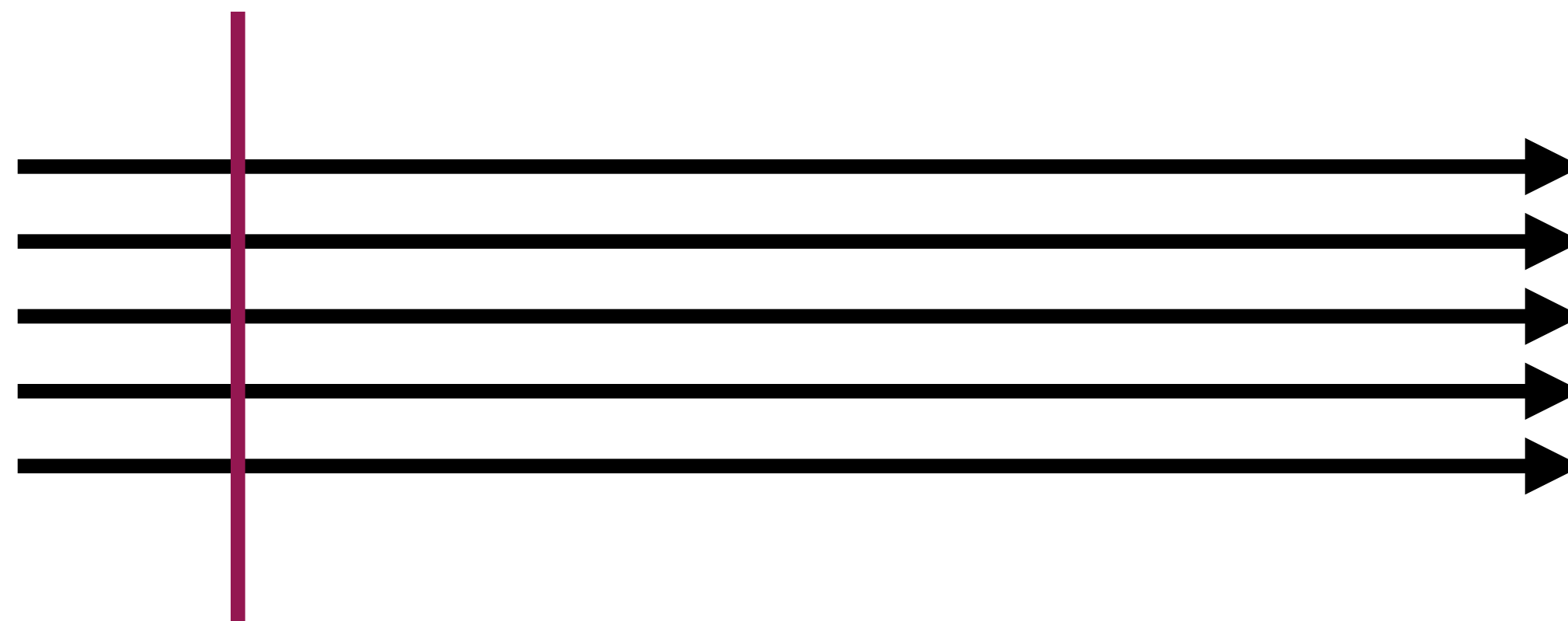
Proper Detector Frame (PDF) Vs Transverse Traceless (TT) Frame
(Fermi Normal Coordinates)



proper detector frame = laboratory
 (t, x, y, z)

probe wire

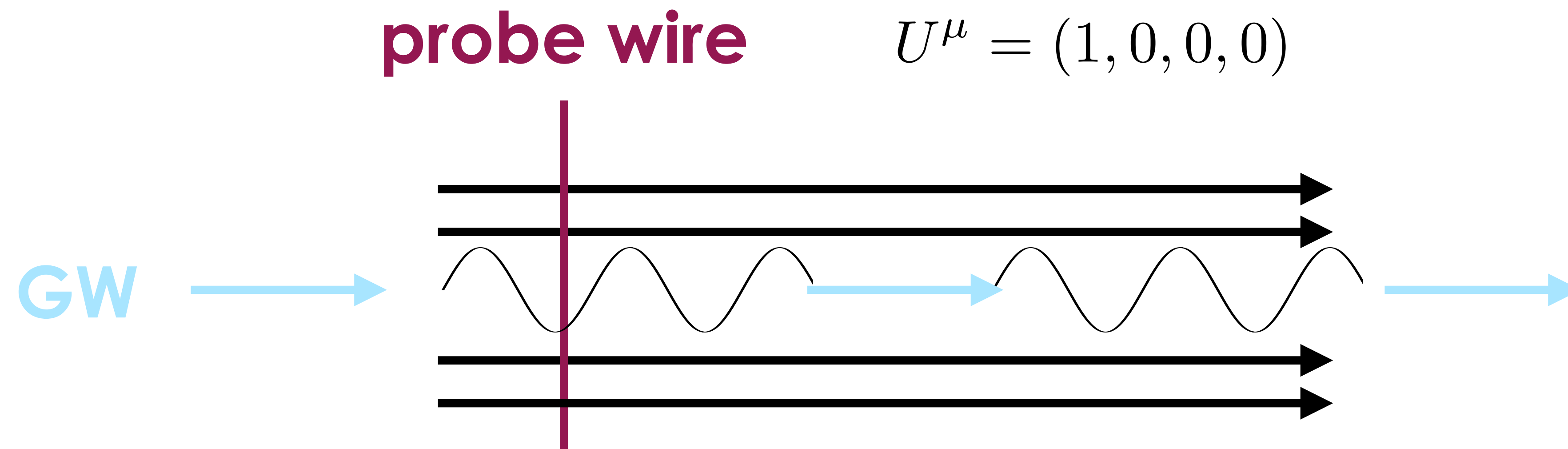
$$U^\mu = (1, 0, 0, 0)$$



$$\mathbf{B} = B_0 \hat{z}$$



proper detector frame = laboratory
 (t, x, y, z)



proper detector frame = laboratory
 (t, x, y, z)

GW \longrightarrow \hat{z}

$$h_{00} = -\omega_g^2 h_{ab}^{\text{TT}} x^a x^b \left[-\frac{i}{\omega_g z} + \frac{1 - e^{-i\omega_g z}}{(\omega_g z)^2} \right]$$

$$h_{ij} = \omega_g^2 \left[(\delta_{iz} h_{ja}^{\text{TT}} + \delta_{jz} h_{ia}^{\text{TT}}) z x^a - h_{ij}^{\text{TT}} z^2 - \delta_{iz} \delta_{jz} h_{ab}^{\text{TT}} x^a x^b \right] \left[-\frac{1 + e^{-i\omega_g z}}{(\omega_g z)^2} - 2i \frac{1 - e^{-i\omega_g z}}{(\omega_g z)^3} \right]$$

$$h_{0i} = -\omega_g^2 \left(h_{ia}^{\text{TT}} z x^a - \delta_{iz} h_{ab}^{\text{TT}} x^a x^b \right) \left[-\frac{i}{2\omega_g z} - \frac{e^{-i\omega_g z}}{(\omega_g z)^2} - i \frac{1 - e^{-i\omega_g z}}{(\omega_g z)^3} \right]$$

TT gauge = comoving with the wave
($t_{\text{TT}}, x_{\text{TT}}, y_{\text{TT}}, z_{\text{TT}}$)

GW \longrightarrow \hat{z}

$$h_{00}^{\text{TT}} = h_{0i}^{\text{TT}} = 0$$

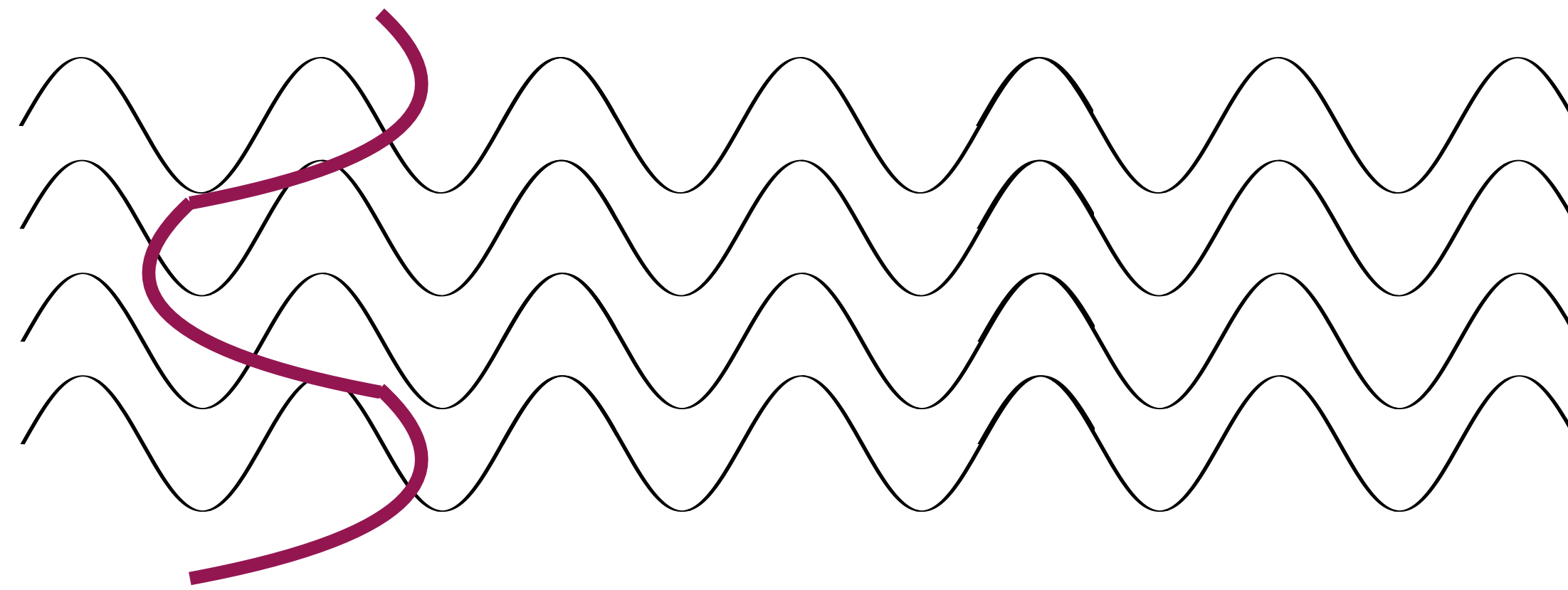
$$h_{ij}^{\text{TT}} = e^{i\omega_g(t-z)} \begin{pmatrix} h_+ & h_\times & 0 \\ h_\times & -h_+ & 0 \\ 0 & 0 & 0 \end{pmatrix}$$

TT gauge = comoving with the wave
 $(t_{\text{TT}}, x_{\text{TT}}, y_{\text{TT}}, z_{\text{TT}})$

$$t_{\text{TT}} \simeq t - \frac{i}{4} \omega_g (x^2 - y^2) h_+ e^{i\omega_g t}, \quad x_{\text{TT}} \simeq x - \frac{1}{2} x (1 - i\omega_g z) h_+ e^{i\omega_g t}$$
$$y_{\text{TT}} \simeq y + \frac{1}{2} y (1 - i\omega_g z) h_+ e^{i\omega_g t}, \quad z_{\text{TT}} \simeq z - \frac{i}{4} \omega_g (x^2 - y^2) h_+ e^{i\omega_g t}$$

TT gauge = comoving with the wave
($t_{TT}, x_{TT}, y_{TT}, z_{TT}$)

probe wire



$$\mathbf{B} = B_0 \hat{z} + \frac{i}{2} (h_+ B_0) e^{i\omega_g t} (\omega_g x, -\omega_g y, 0) + \mathcal{O}(h^2)$$

TT gauge = comoving with the wave
 $(t_{\text{TT}}, x_{\text{TT}}, y_{\text{TT}}, z_{\text{TT}})$

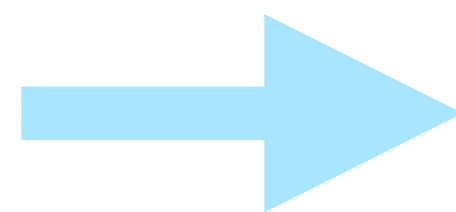


$$\mathbf{B} = B_0 \hat{z}$$

Theorem: $j_{\text{eff}, \text{TT}}^{\mu} = 0$

TT gauge = comoving with the wave
($t_{\text{TT}}, x_{\text{TT}}, y_{\text{TT}}, z_{\text{TT}}$)

Theorem: $j_{\text{eff},\text{TT}}^{\mu} = 0$



Wrong Conclusion

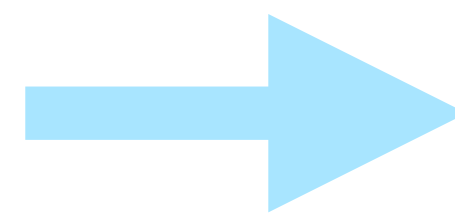
No signal

Surprisingly common mistake in the literature
(confusion between TT frame and laboratory frame)

TT gauge = comoving with the wave
($t_{\text{TT}}, x_{\text{TT}}, y_{\text{TT}}, z_{\text{TT}}$)

Wrong Conclusion

Theorem: $j_{\text{eff},\text{TT}}^{\mu} = 0$



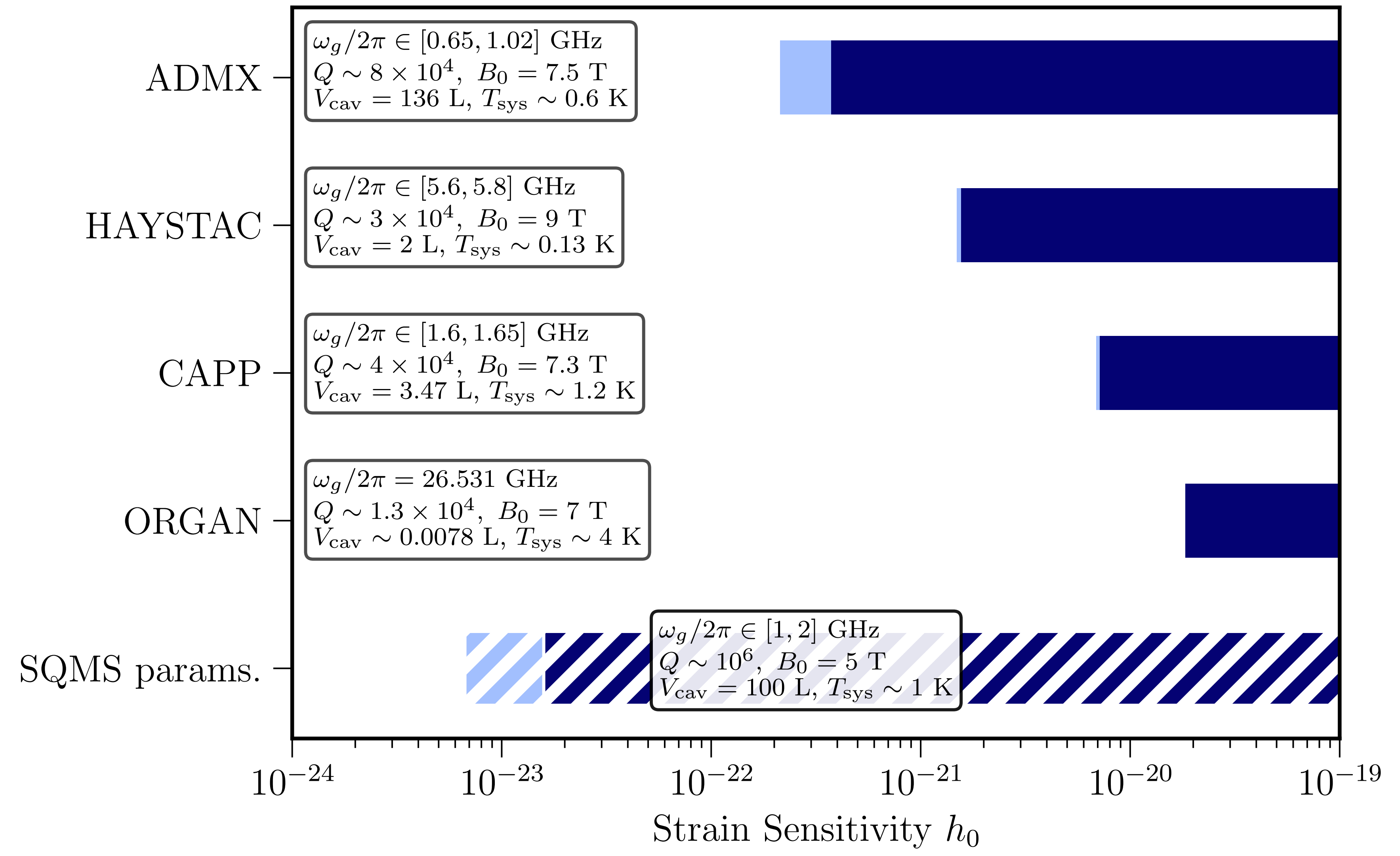
No signal

Doubly Wrong:

1. Impossible to prepare a uniform B-field in the TT frame
2. Even if you could do it, there would still be a signal (wire moving)

GRAVITATIONAL WAVE DETECTION

Projected Sensitivities of Axion Experiments



SUPERRADIANCE

$$\omega_g \simeq 2m_a \simeq \text{GHz} \left(\frac{10^{-4} M_\odot}{M_{\text{BH}}} \right)$$

$$h = 10^{-24} \left(\frac{\Delta a_*}{0.1} \right) \left(\frac{1 \text{ kpc}}{D} \right) \left(\frac{M_b}{10^{-1} M_\odot} \right) \left(\frac{\alpha}{0.2} \right)^7$$

PRIMORDIAL BHs

$$\frac{N_{\text{cycles}}}{Q} \simeq \left(\frac{\text{GHz}}{f_g} \right)^{5/3} \left(\frac{10^{-9} M_{\odot}}{m_{\text{PBH}}} \right)^{5/3} \quad Q = 10^6$$

$$h \simeq 10^{-26} \left(\frac{1 \text{pc}}{D} \right) \left(\frac{m_{\text{PBH}}}{10^{-9} M_{\odot}} \right)^{5/3} \left(\frac{\omega_g}{\text{GHz}} \right)^{2/3}$$

If they are DM and are all in binaries (1 year)

$$D \simeq 10^{-3} \text{ pc}$$

If they are DM

$$D \simeq 10 \text{ pc} \left(\frac{m_{\text{PBH}}}{10^{-9} M_{\odot}} \right)$$

POWER FROM THE SUN

Power

$$\frac{dP}{dE} \sim \text{const.}$$

$$\frac{d\Gamma}{dE} \sim \frac{1}{E}$$

Number of
gravitons

$$\Gamma \sim \exp[B \log(E/\Lambda)], \quad B \ll 1$$

POWER FROM THE SUN

Signal

$$P_{\text{tot}} \simeq 6 \times 10^{14} \frac{\text{erg}}{\text{s}} \simeq 10^{11} \text{ eV}^2$$

$$P_{\text{exp}} \simeq 10^{-12} \text{ eV}^2$$

Total emitted power (in gravitons)

Power reaching a m-sized experiment on Earth (in gravitons)

POWER FROM THE SUN

Signal

$$P_{\text{tot}} \simeq 6 \times 10^{14} \frac{\text{erg}}{\text{s}} \simeq 10^{11} \text{ eV}^2$$

Total emitted power (in gravitons)

$$P_{\text{exp}} \simeq 10^{-12} \text{ eV}^2$$

Power reaching a m-sized experiment on Earth (in gravitons)

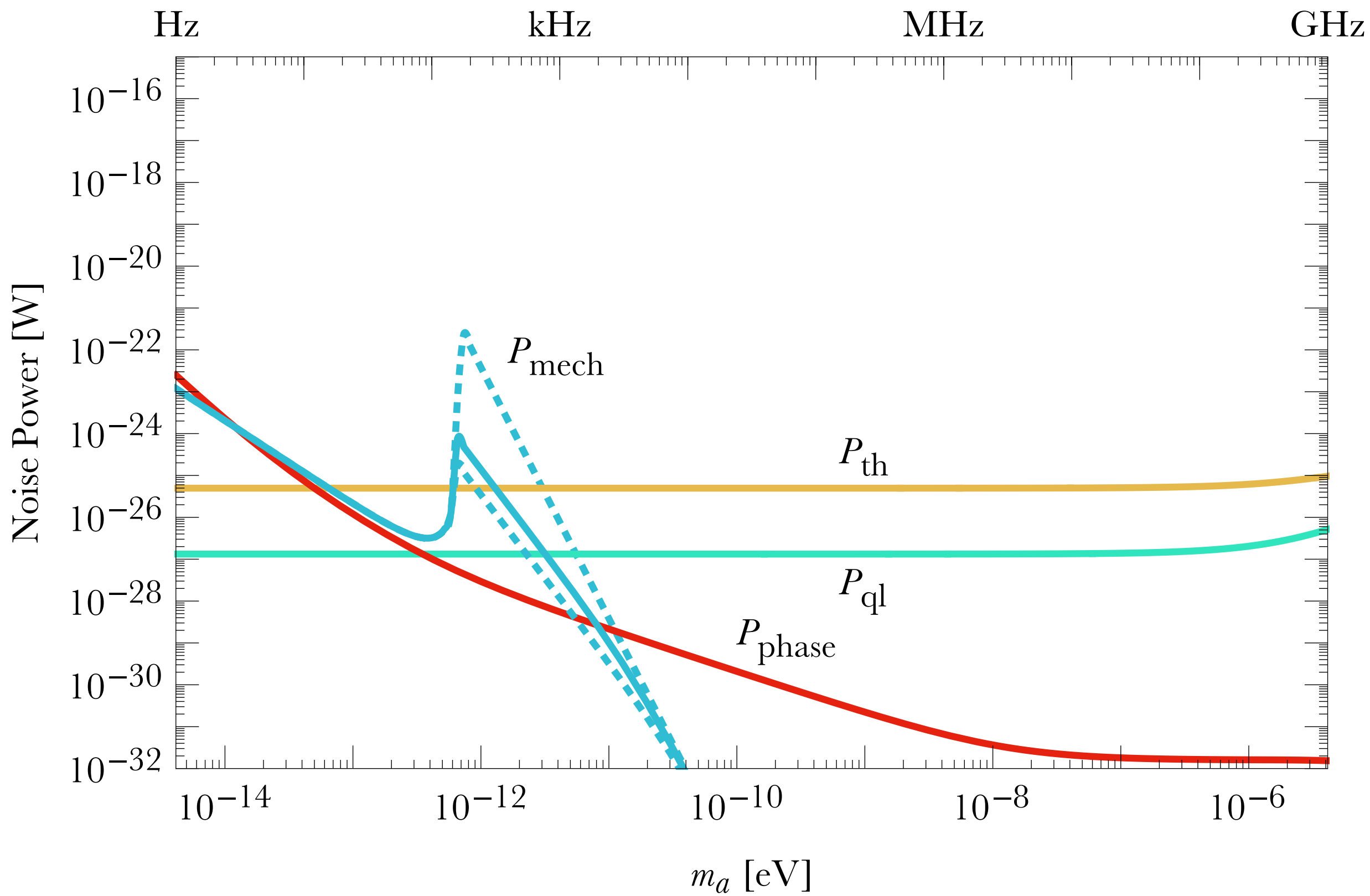
Noise

$$P_{\text{th}} \simeq T \Delta\omega \simeq \text{eV}^2 \left(\frac{T}{\text{K}} \right)$$

Thermal Noise in the bandwidth of the signal (in photons)

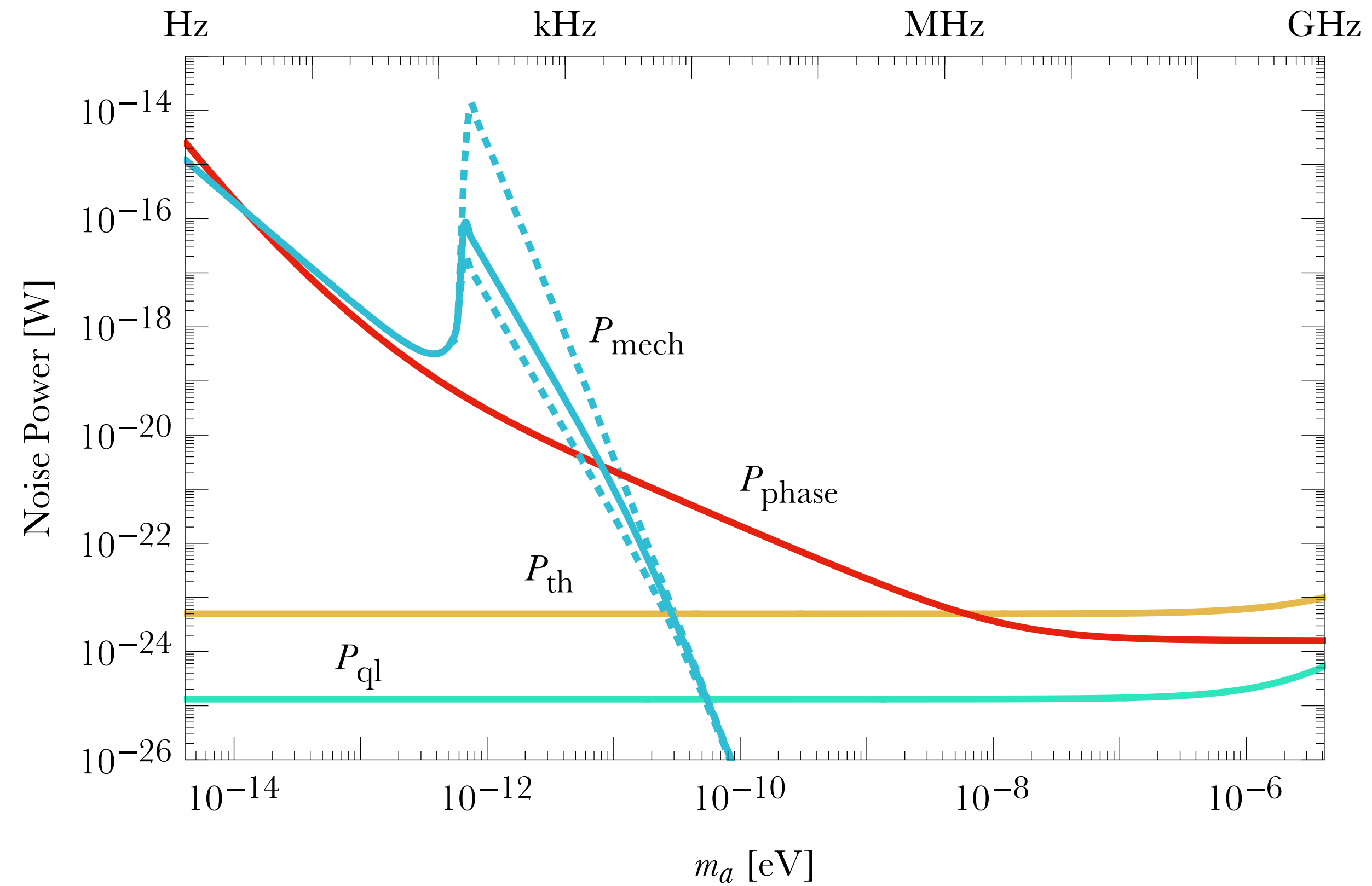
NOISE PSDs

frequency = $m_a/2\pi$



$$\epsilon_{1d} = 10^{-7}, \quad Q = 10^{12}$$

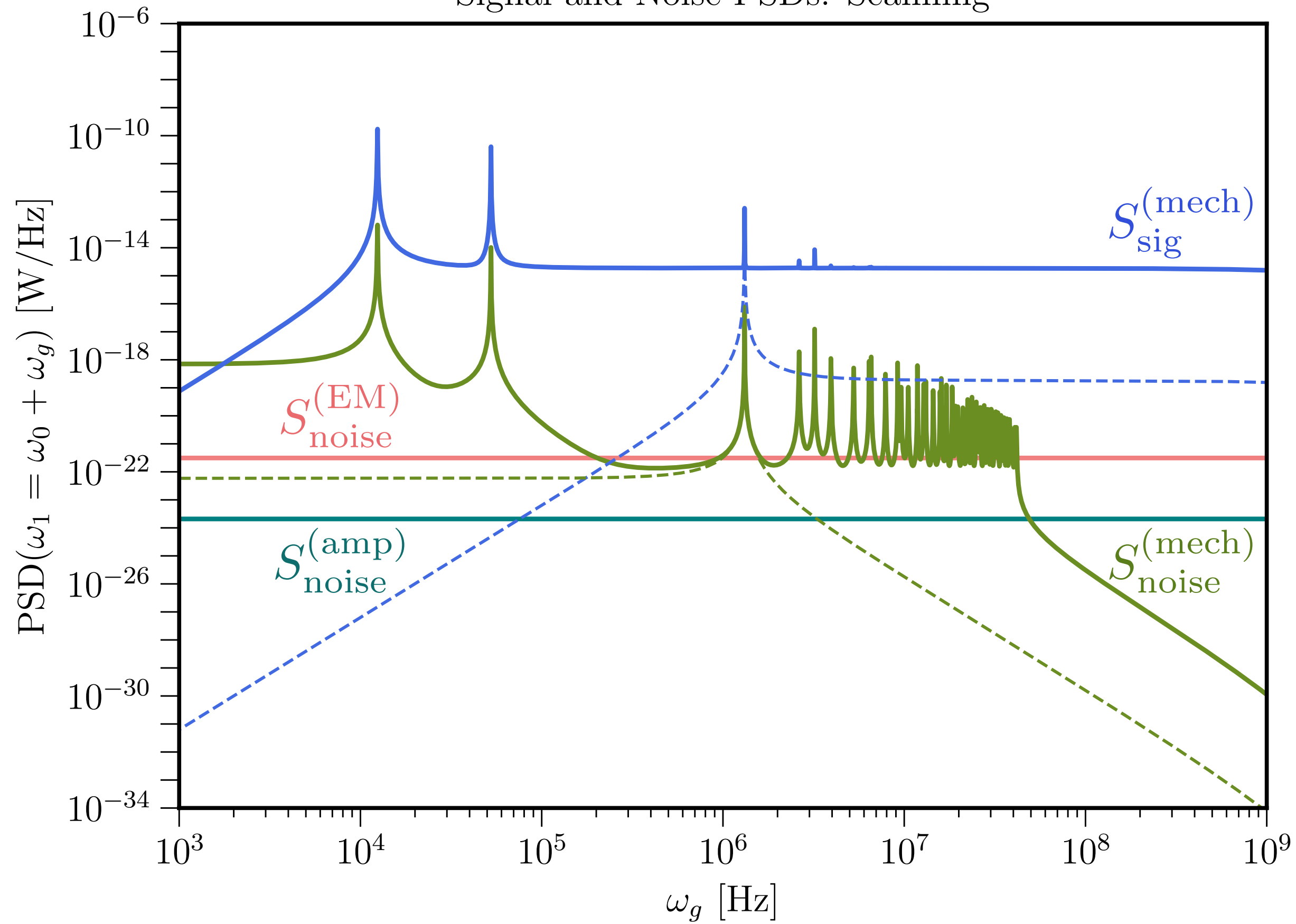
frequency = $m_a/2\pi$



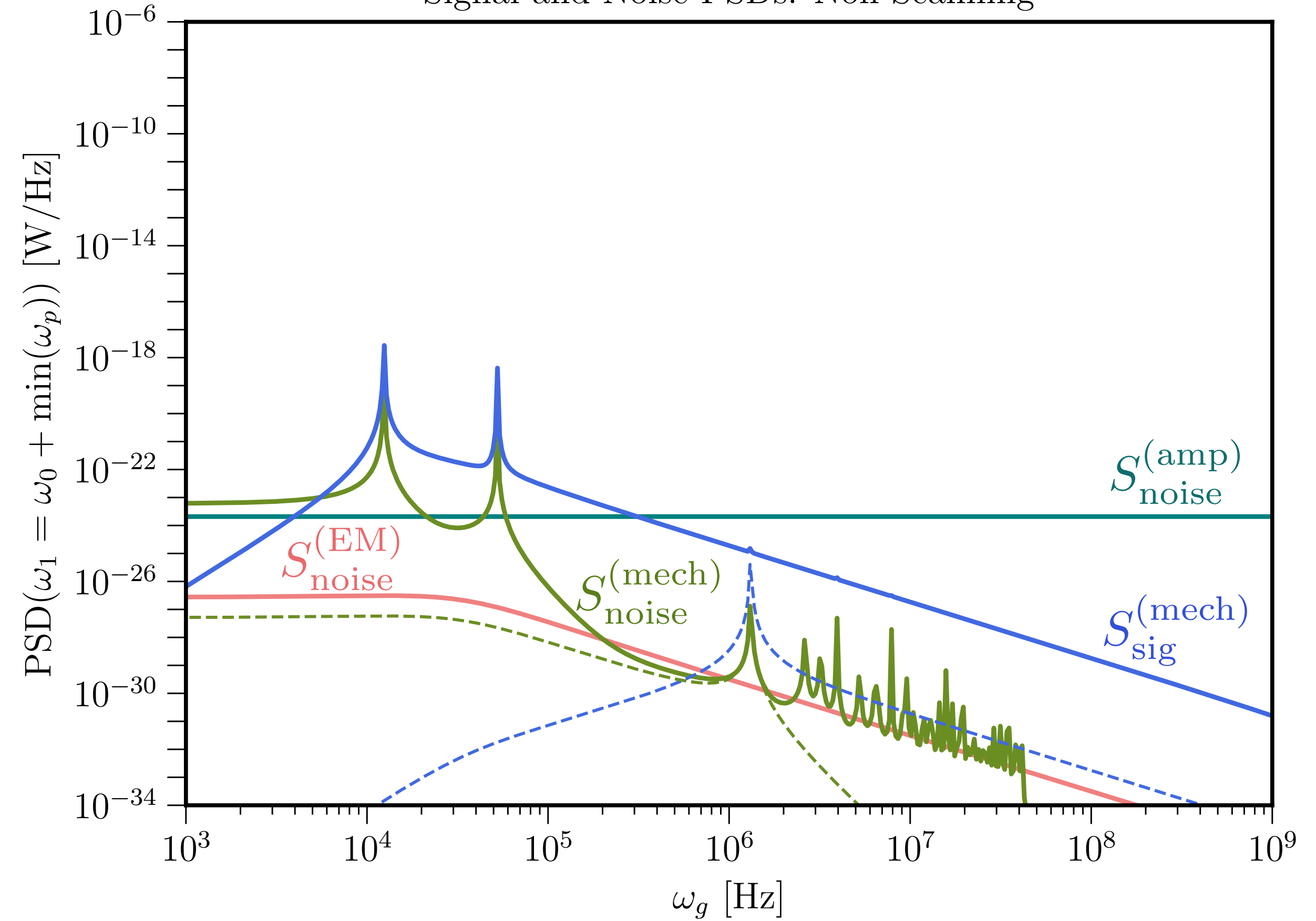
$$\epsilon_{1d} = 10^{-5}, \quad Q = 10^{10}$$

NOISE PSDs GWs

Signal and Noise PSDs: Scanning



Signal and Noise PSDs: Non-Scanning



MADMAX and LAMPOST

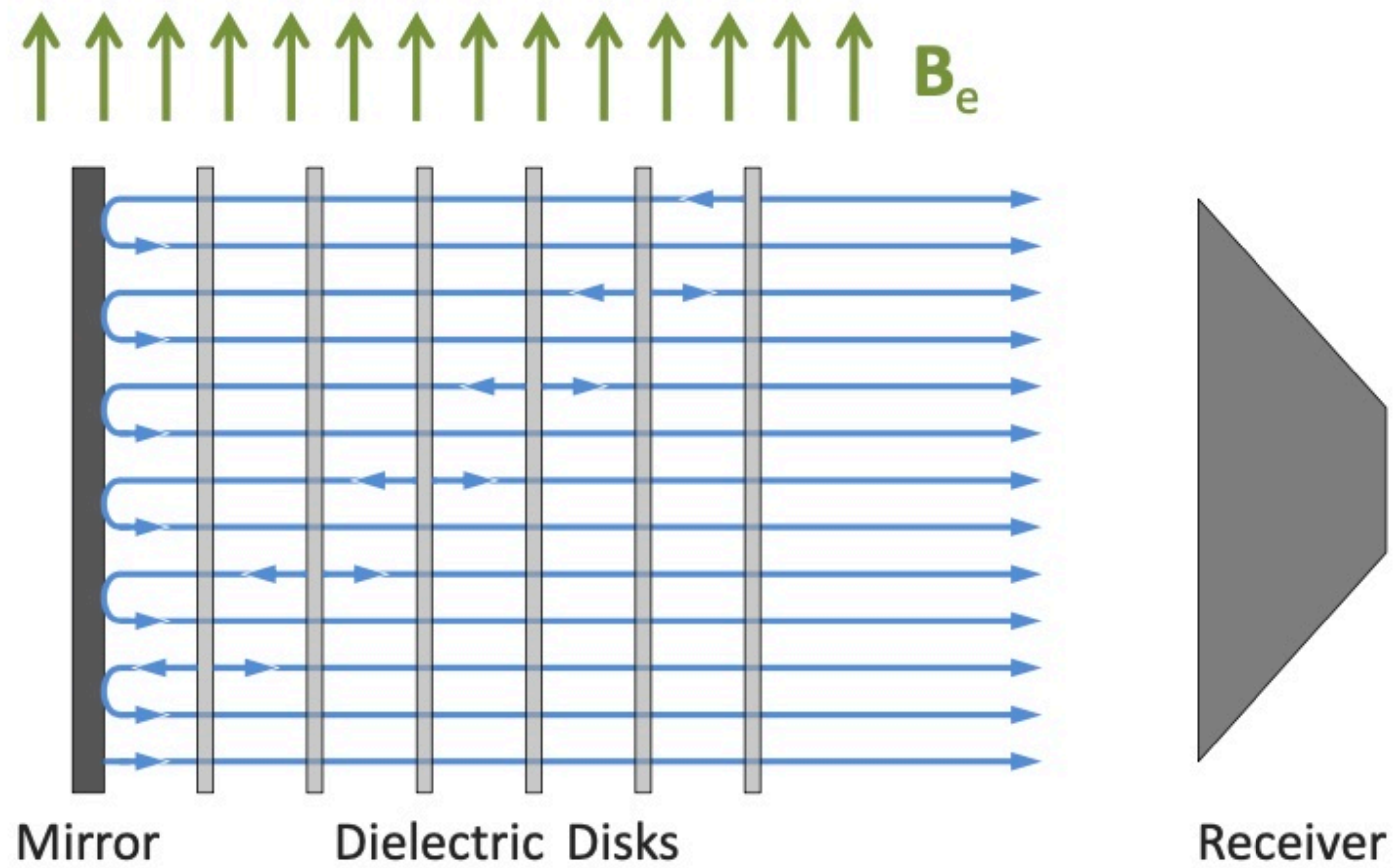
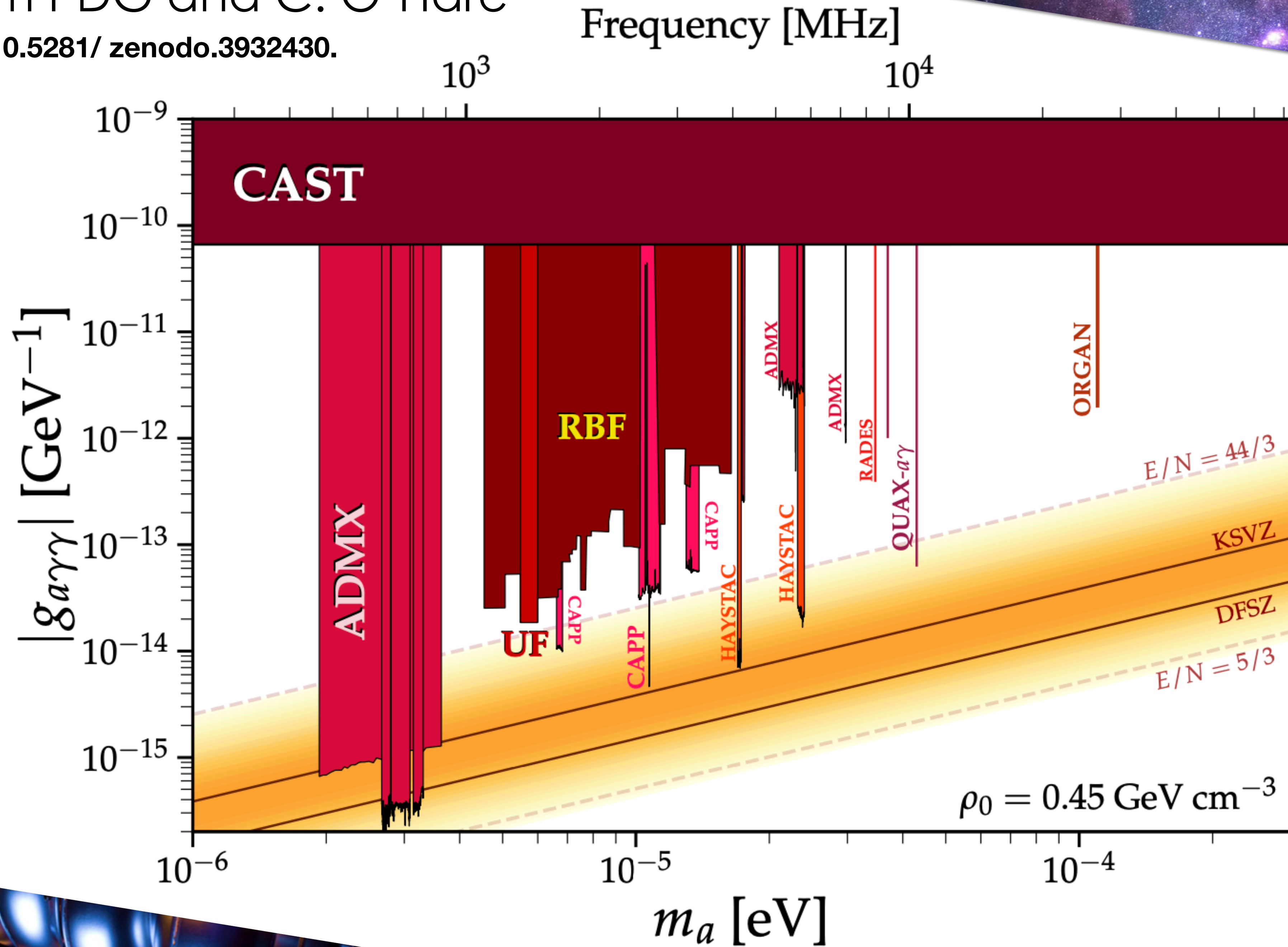


Figure from PDG and C. O'Hare

<https://doi.org/10.5281/zenodo.3932430>.



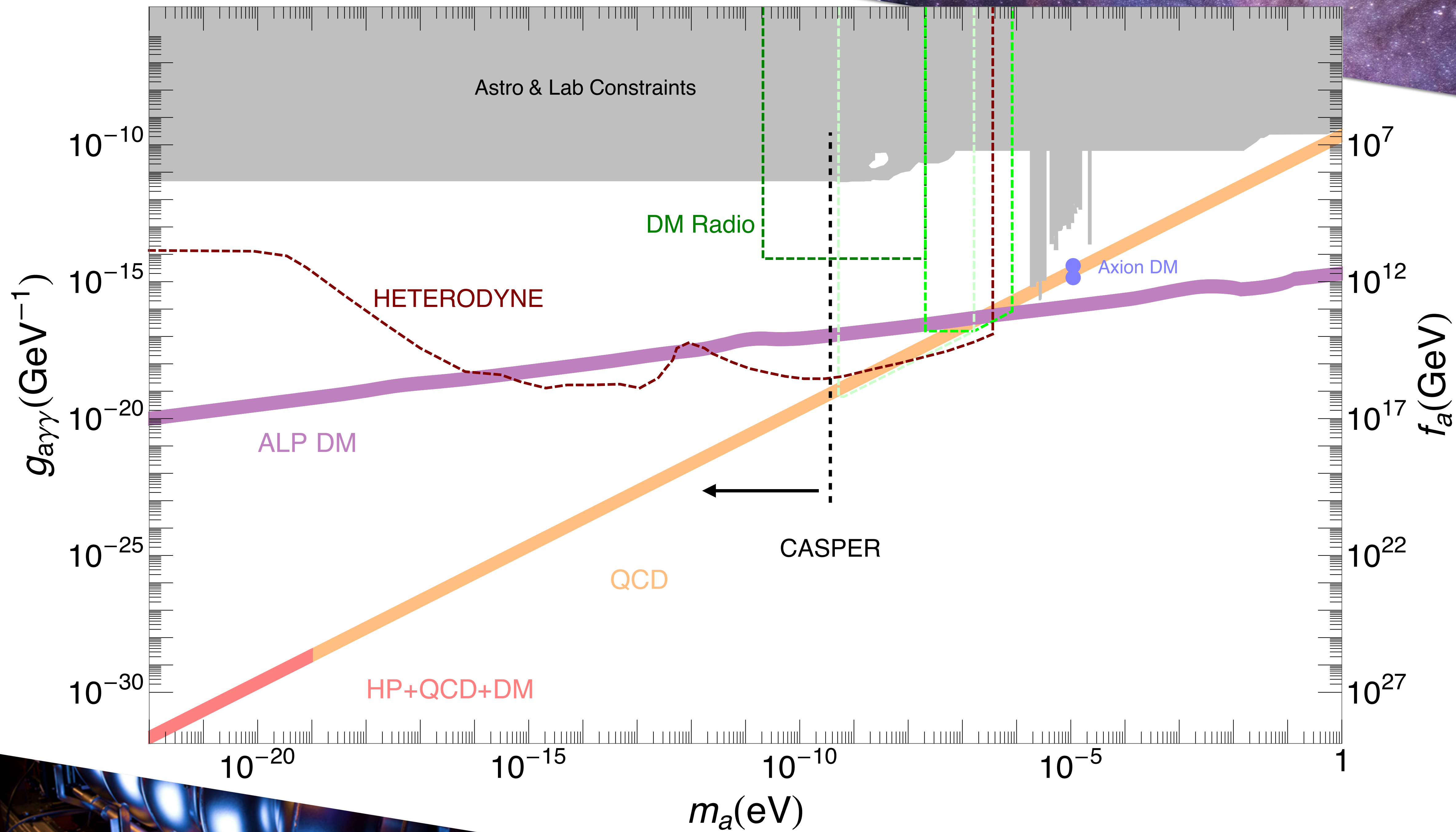
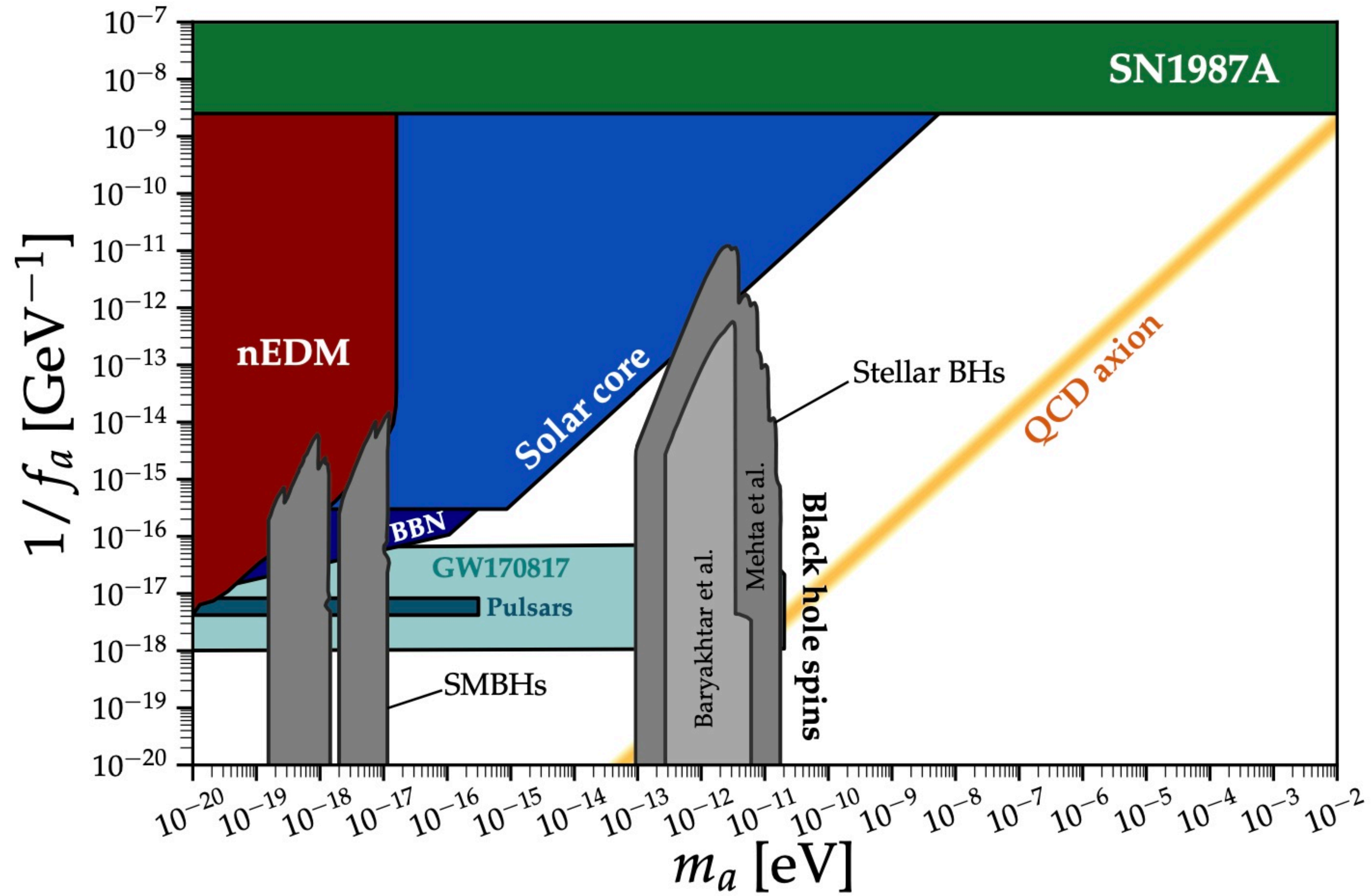


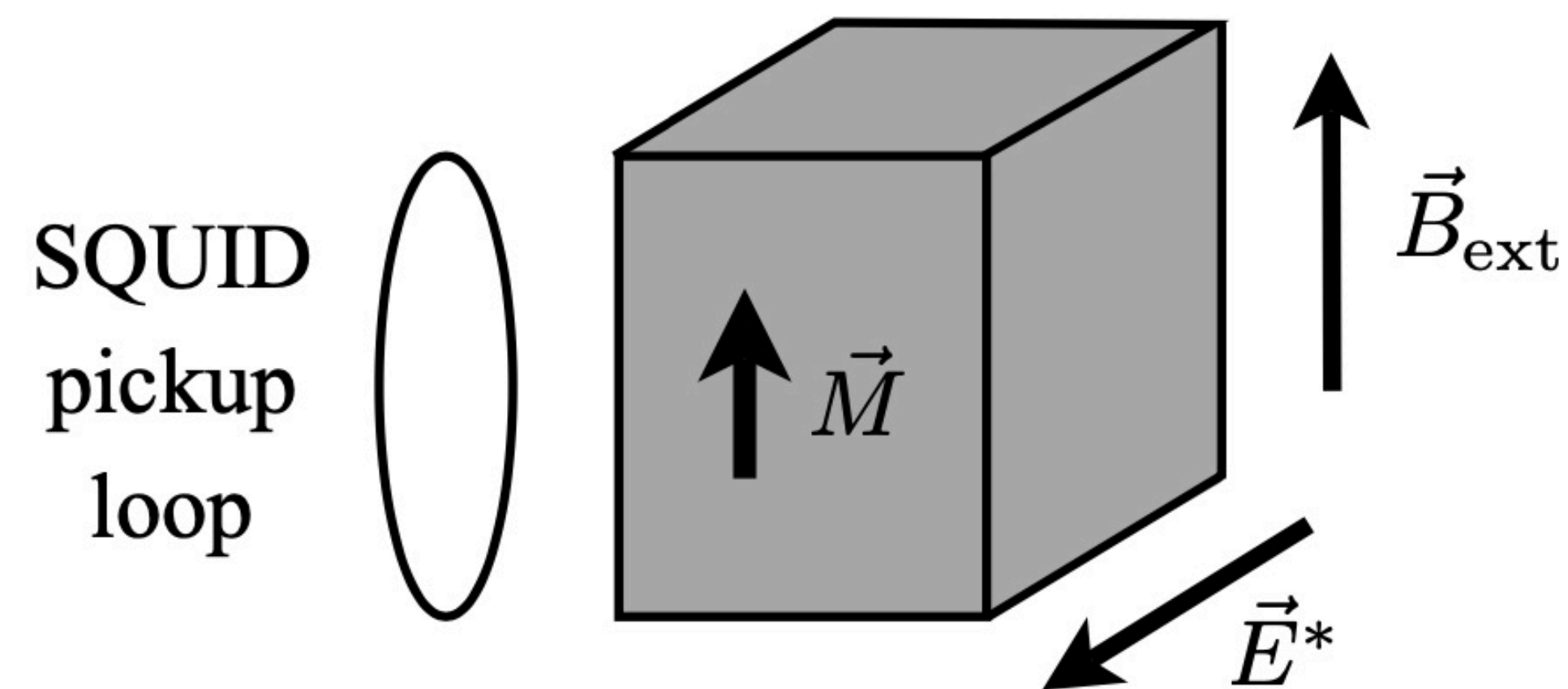
Figure from PDG and C. O'Hare

<https://doi.org/10.5281/zenodo.3932430>.



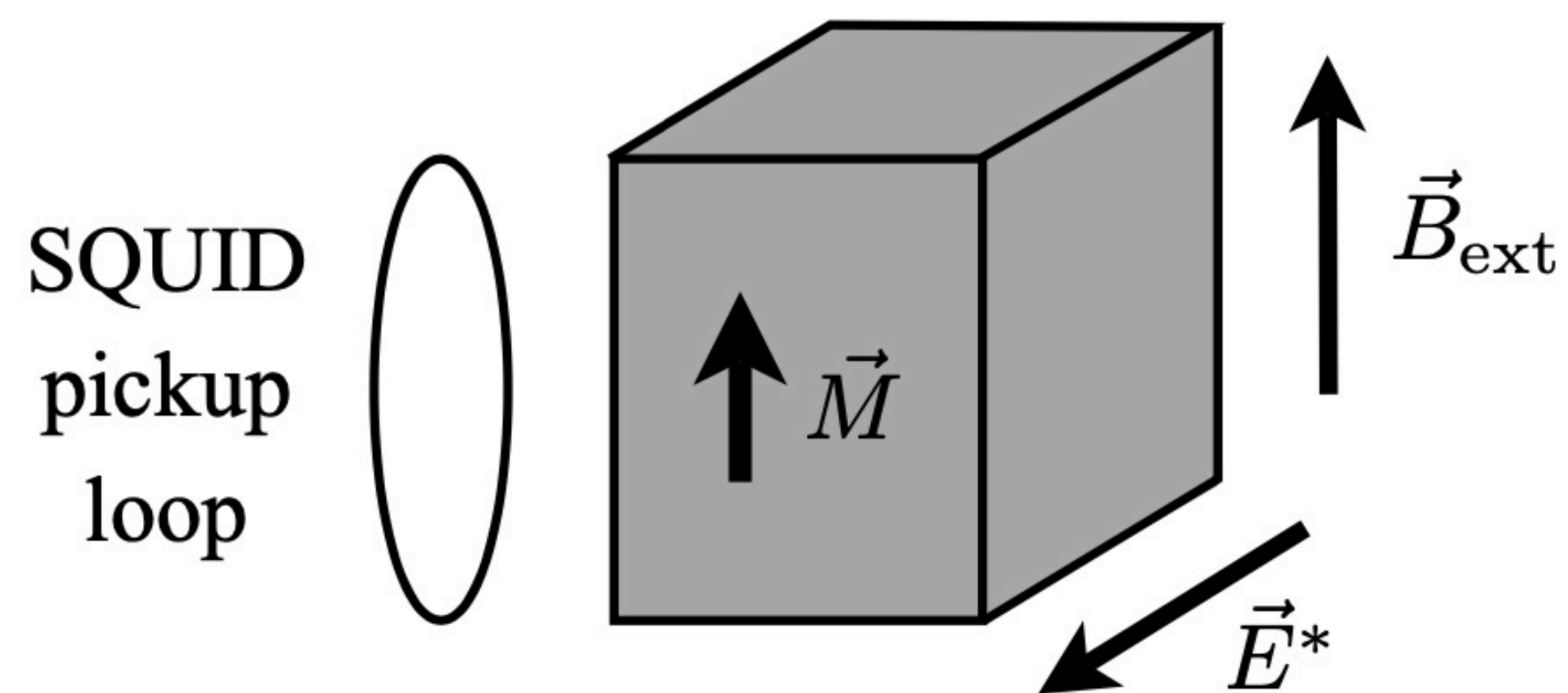
Valid for QCD Axion!

$$H \simeq \frac{a}{m_N f_a} \vec{\sigma} \cdot \vec{E}$$



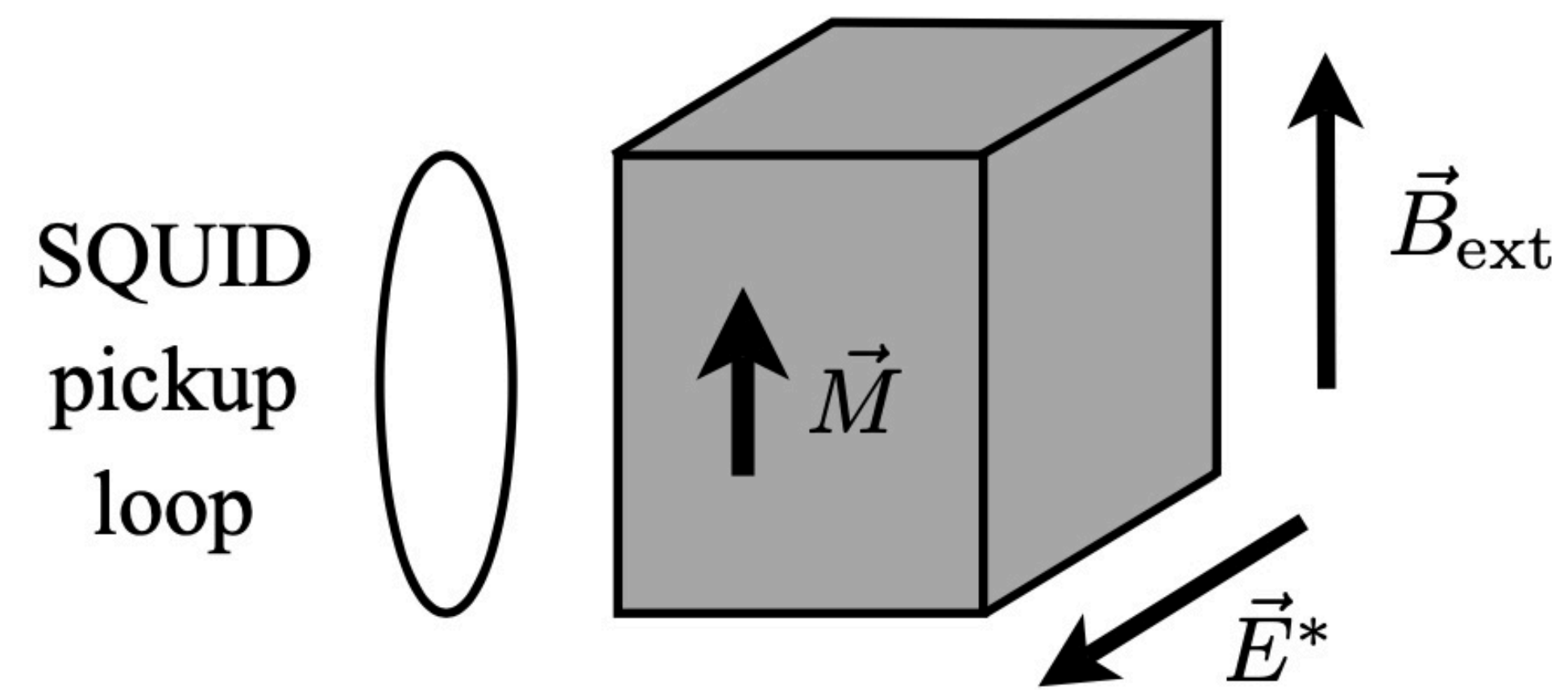
Without the axion you have a magnetisation component precessing around B (Larmor frequency)

$$H \simeq \frac{a}{m_N f_a} \vec{\sigma} \cdot \vec{E}$$



$$M(t) \approx np\mu E^* \epsilon_S d_n \frac{\sin \left[\left(\frac{2\mu B_{\text{ext}} - m_a c^2}{\hbar} \right) t \right]}{\frac{2\mu B_{\text{ext}} - m_a c^2}{\hbar}} \sin (2\mu B_{\text{ext}} t)$$

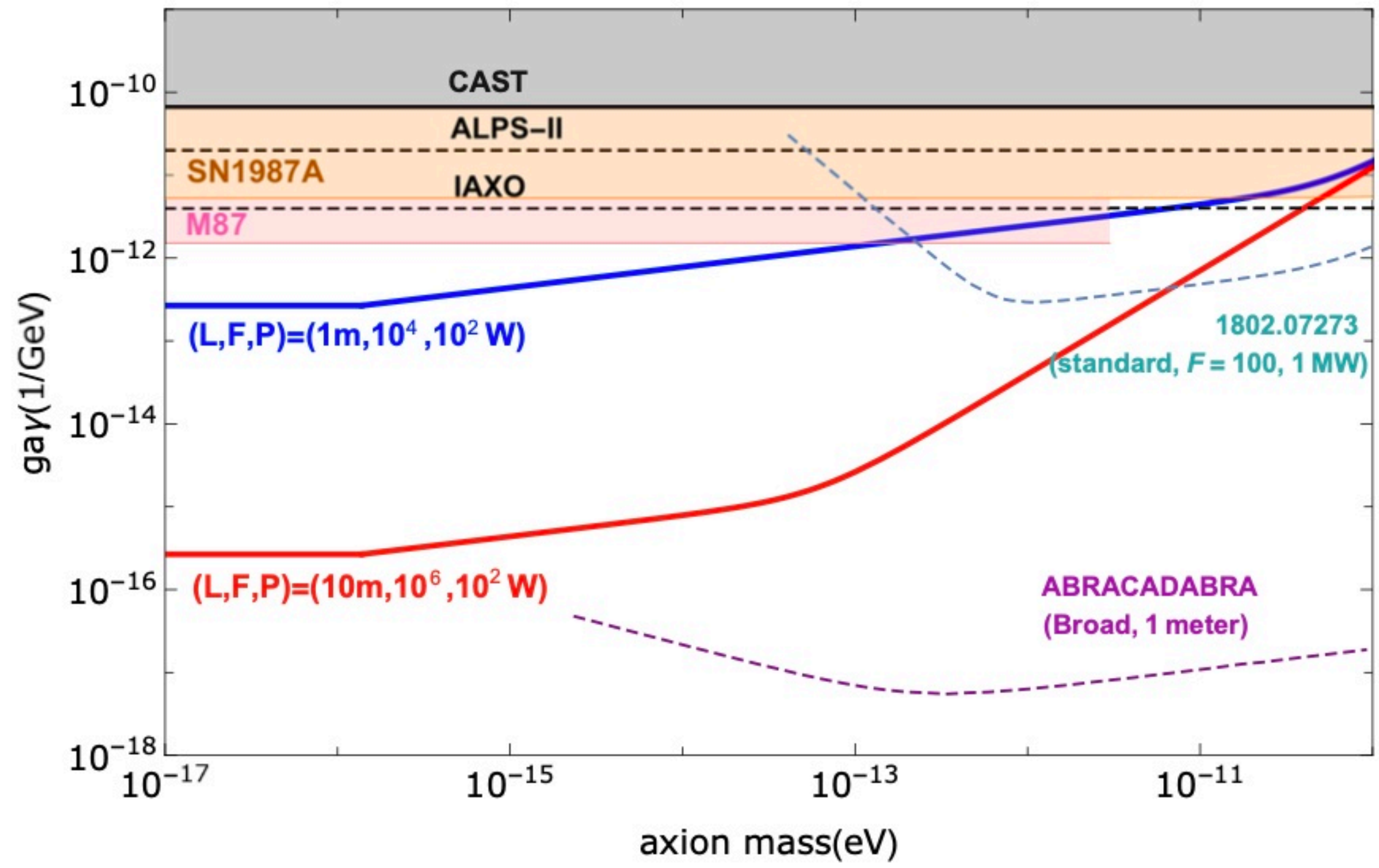
$$H \simeq \frac{a}{m_N f_a} \vec{\sigma} \cdot \vec{E}$$



	n	E^*	p	T_2	Max. B_{ext}
Phase 1	$10^{22} \frac{1}{\text{cm}^3}$	$3 \times 10^8 \frac{\text{V}}{\text{cm}}$	10^{-3}	1 ms	10 T
Phase 2	$10^{22} \frac{1}{\text{cm}^3}$	$3 \times 10^8 \frac{\text{V}}{\text{cm}}$	1	1 s	20 T

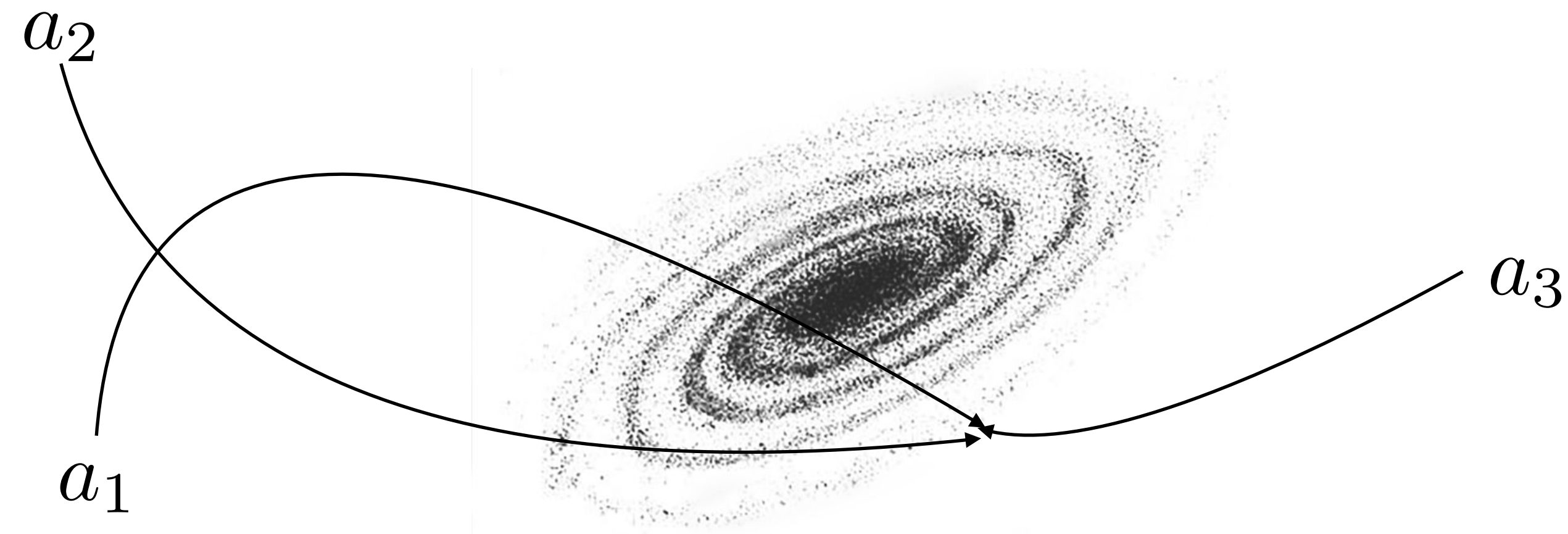
DANCE

Obata, Fujita, Michimura, '18

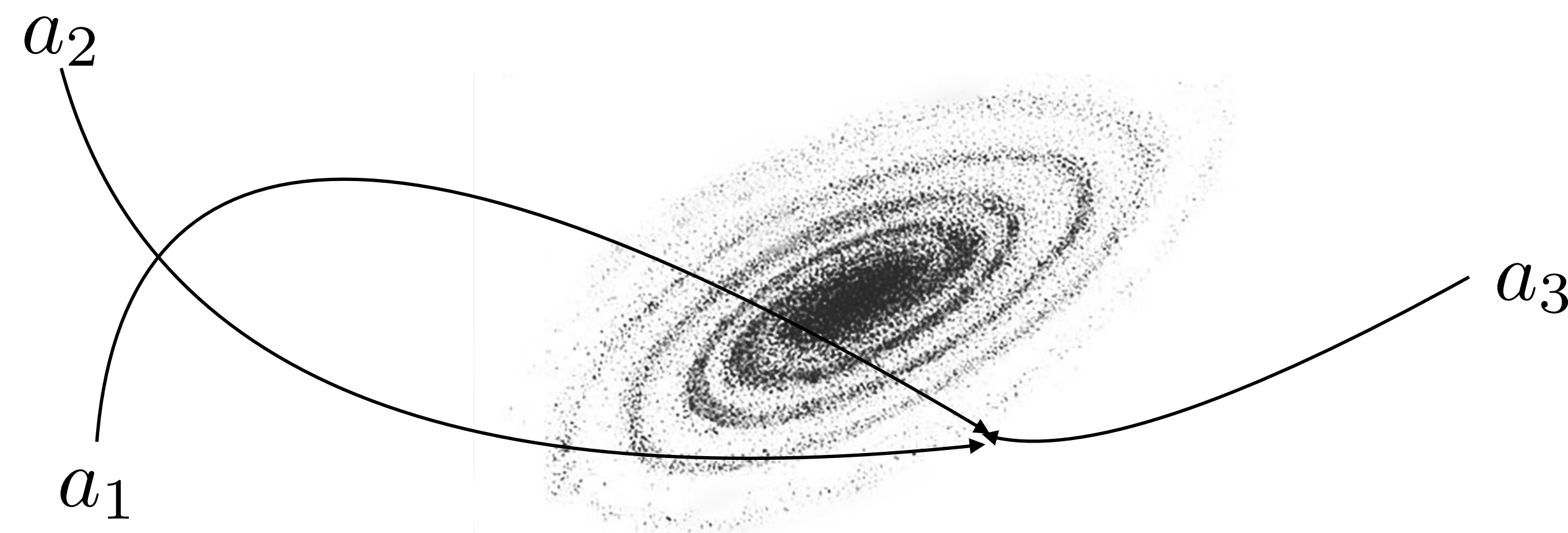


ALP DARK MATTER IN THE LAB

In each experimental bin we are **summing over a multitude of plane waves** with different phases



In each experimental bin we are **summing over a multitude of plane waves** with different phases



$$a(t) = a_0 \left[\cos \left(m_a \left(1 + \frac{v_1^2}{2} \right) t + \phi_1 \right) + \cos \left(m_a \left(1 + \frac{v_2^2}{2} \right) t + \phi_2 \right) + \dots \right]$$

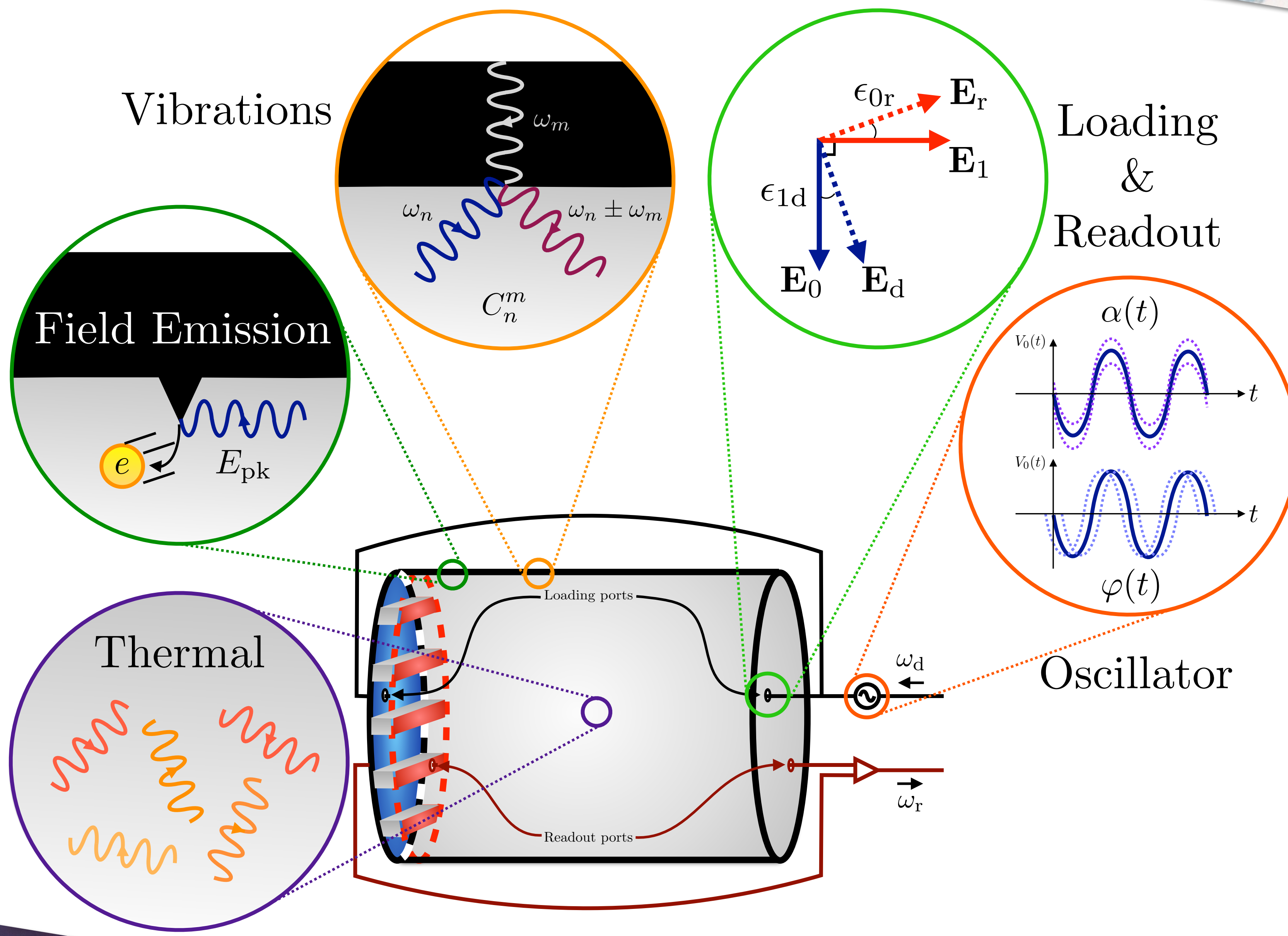
$$\simeq a_0 \cos(m_a t + \phi) [\cos(\delta\omega_a t + \phi') + \dots]$$

$$\delta\omega_a \simeq \frac{1}{m_a \langle v_{\text{DM}}^2 \rangle} \simeq \frac{10^6}{m_a}$$

Effectively: very **slow modulation** of an approximately **monochromatic field**



ULTRALIGHT
AXION-LIKE
DARK MATTER



LEAKAGE NOISE

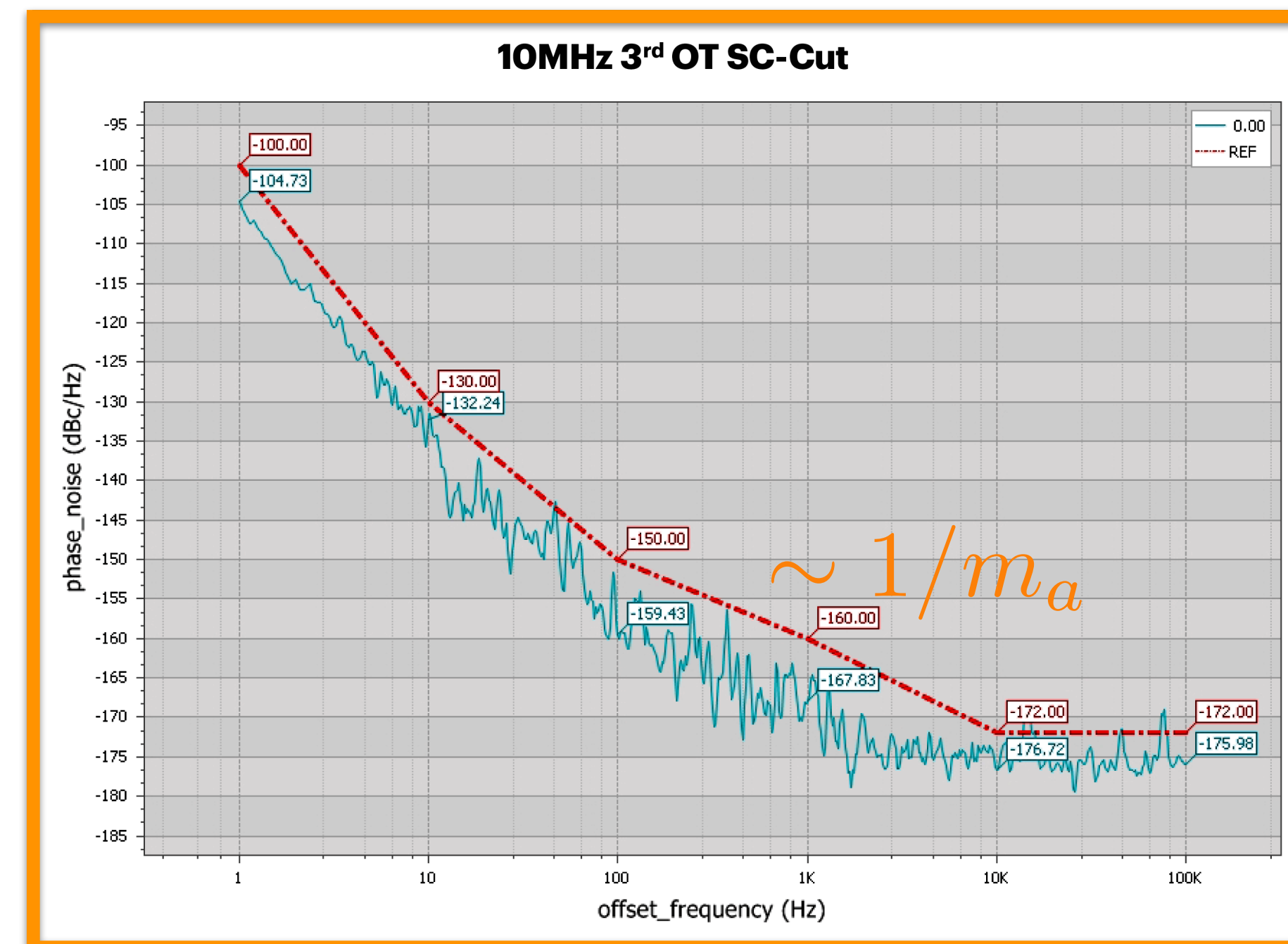
$$S_{\text{phase}}(\omega) \simeq \frac{1}{2} \epsilon_{1d}^2 S_{\phi}(\omega - \omega_0) \frac{(\omega \omega_1 / Q_1)^2}{(\omega^2 - \omega_1^2)^2 + (\omega \omega_1 / Q_1)^2} \frac{\omega_0 Q_1}{\omega_0 Q_0} P_{\text{in}}$$

Cavity Response

LEAKAGE NOISE

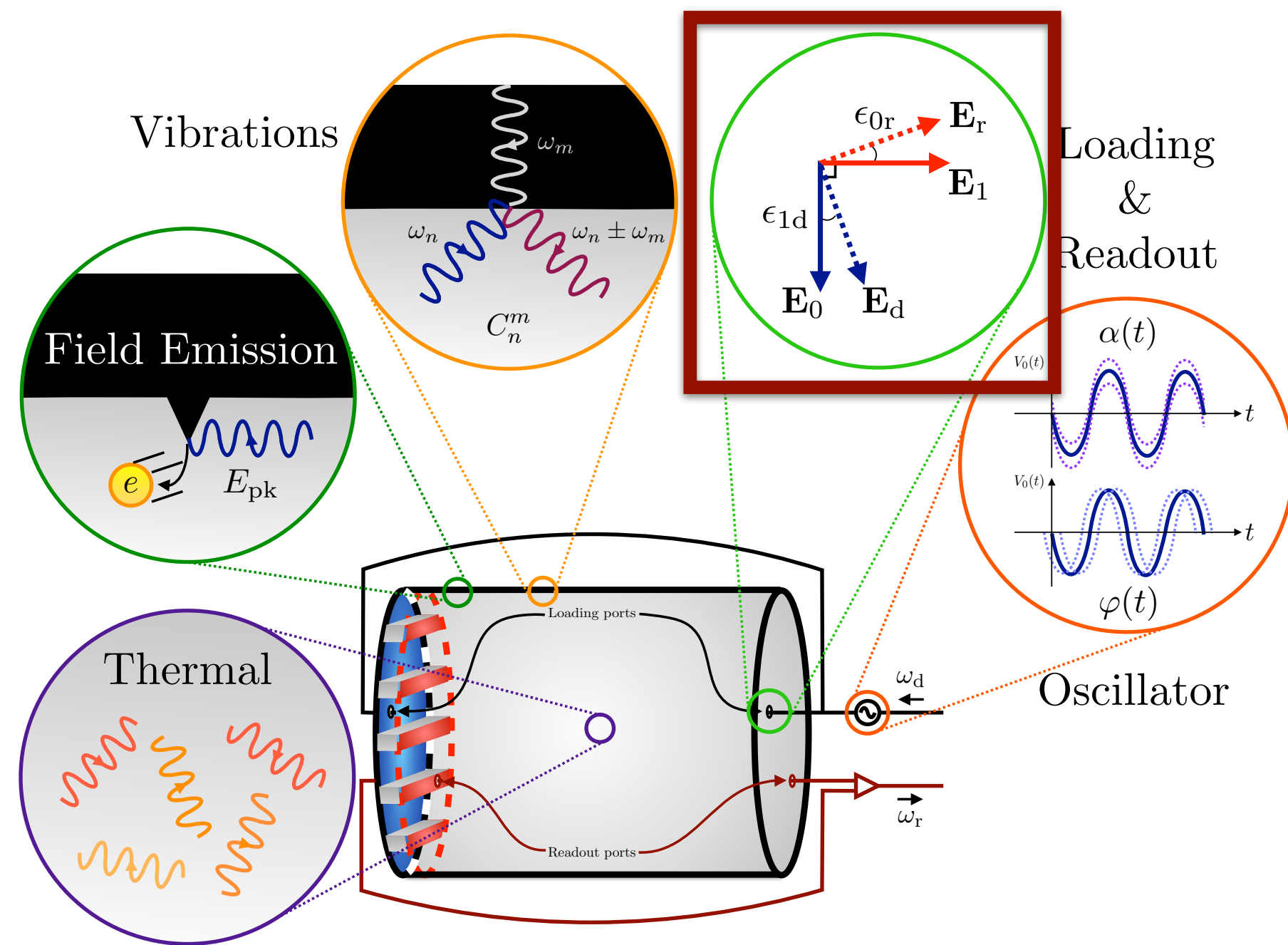
$$S_{\text{phase}}(\omega) \approx \frac{1}{2} \epsilon_{1d}^2 \boxed{S_{\phi}(\omega - \omega_0)} \frac{(\omega \omega_1 / Q_1)^2}{(\omega^2 - \omega_1^2)^2 + (\omega \omega_1 / Q_1)^2} \frac{\omega_0 Q_1}{\omega_0 Q_0} P_{\text{in}}$$

$\sim 1/m_a$



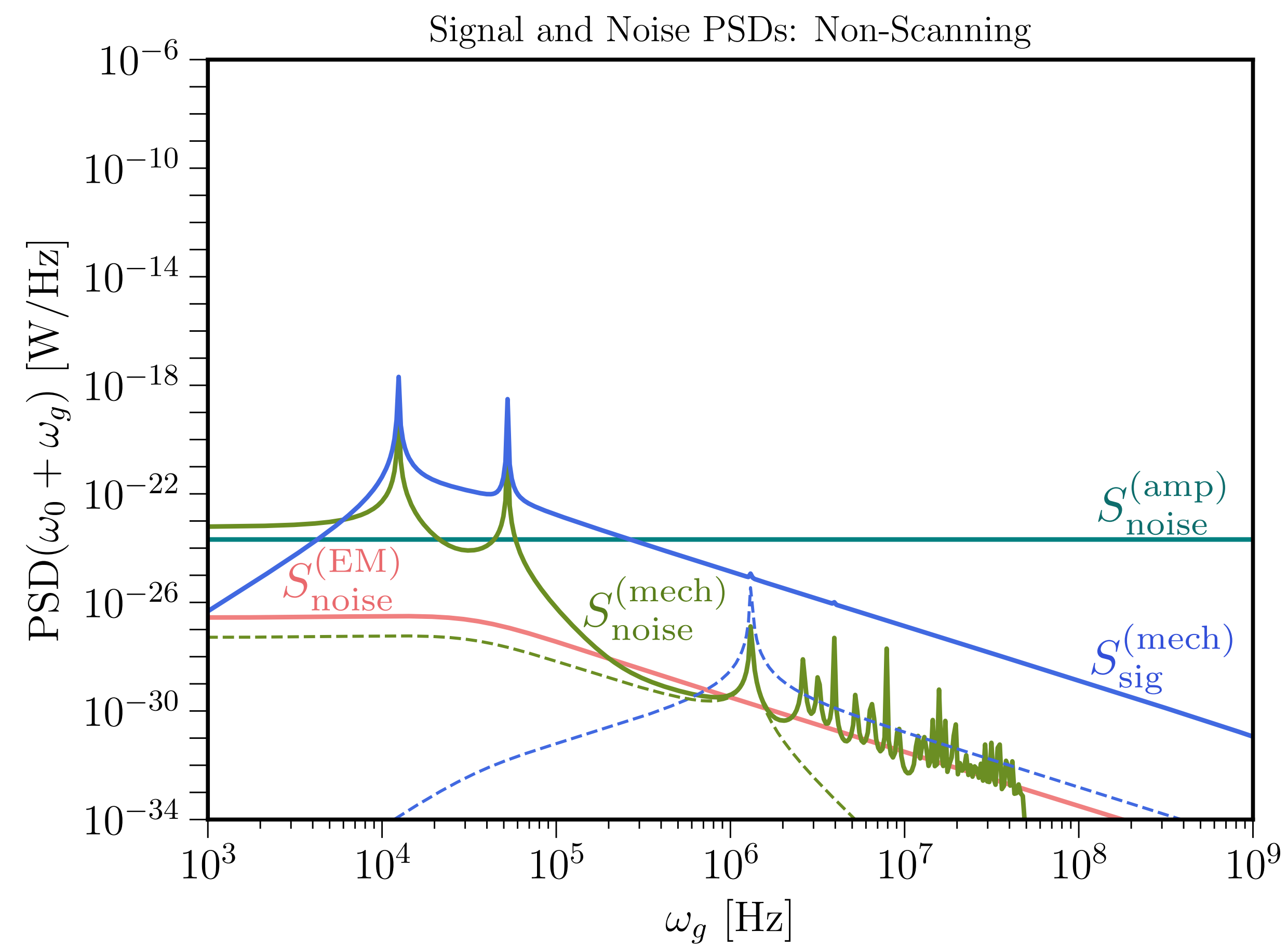
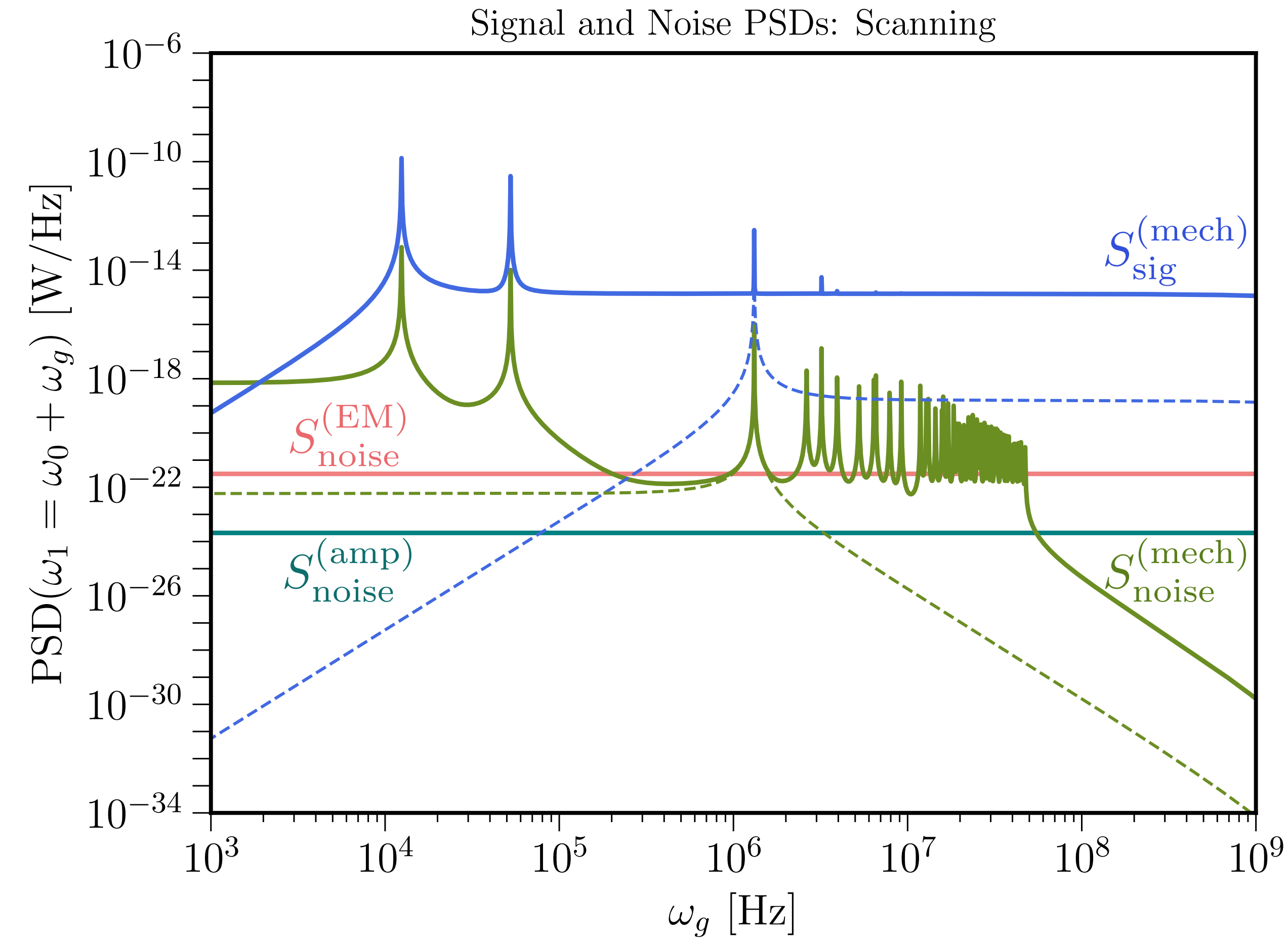
LEAKAGE NOISE

$$S_{\text{phase}}(\omega) \simeq \frac{1}{2} \epsilon_{1d}^2 S_{\phi}(\omega - \omega_0) \frac{(\omega \omega_1 / Q_1)^2}{(\omega^2 - \omega_1^2)^2 + (\omega \omega_1 / Q_1)^2} \frac{\omega_0 Q_1}{\omega_0 Q_0} P_{\text{in}}$$



**From MAGO
and other similar cavities**

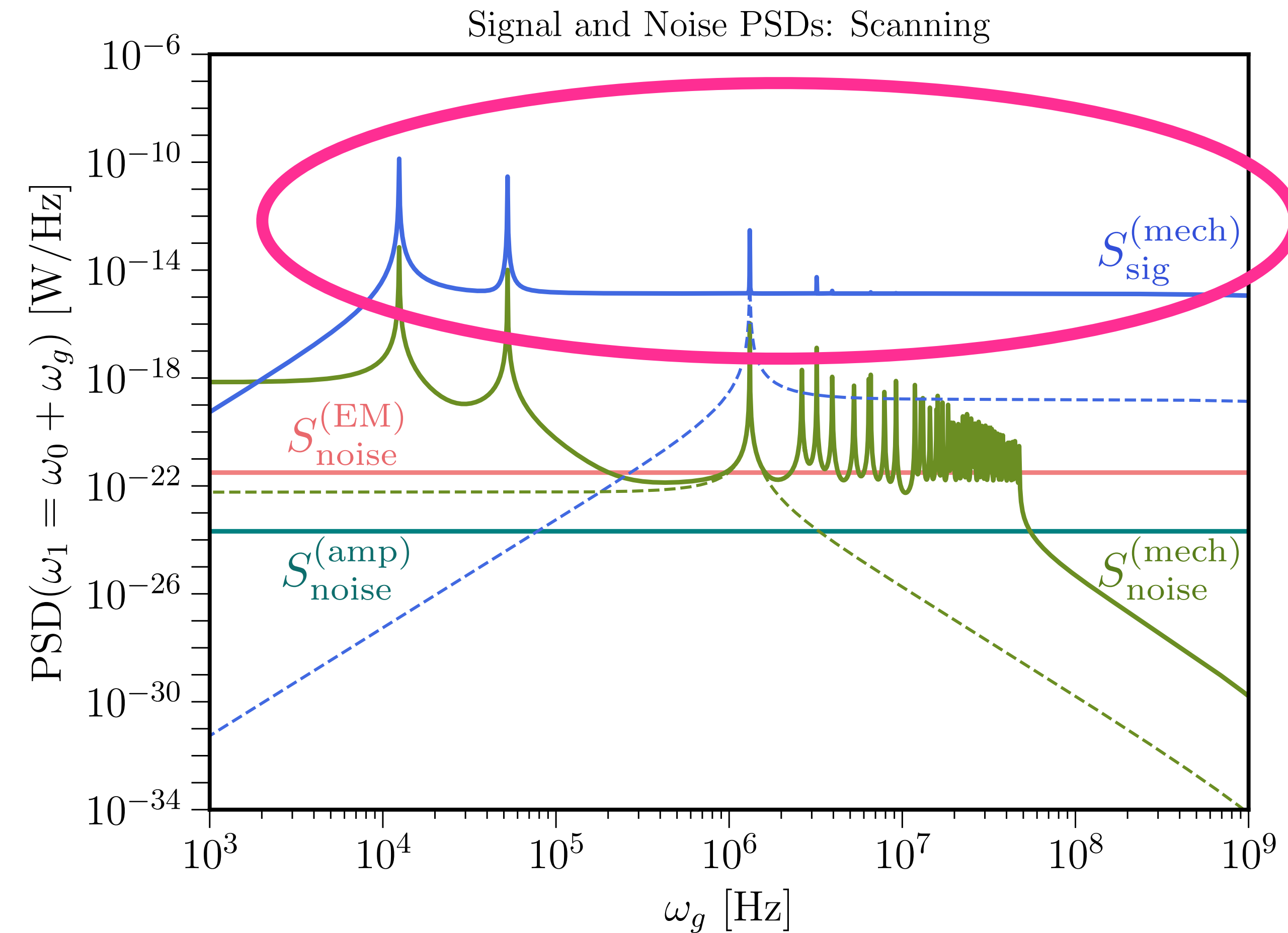
NOISE



Berlin, Blas, D'Agnolo, Ellis, Harnik, Kahn, Schutte-Engel, Wentzel '23

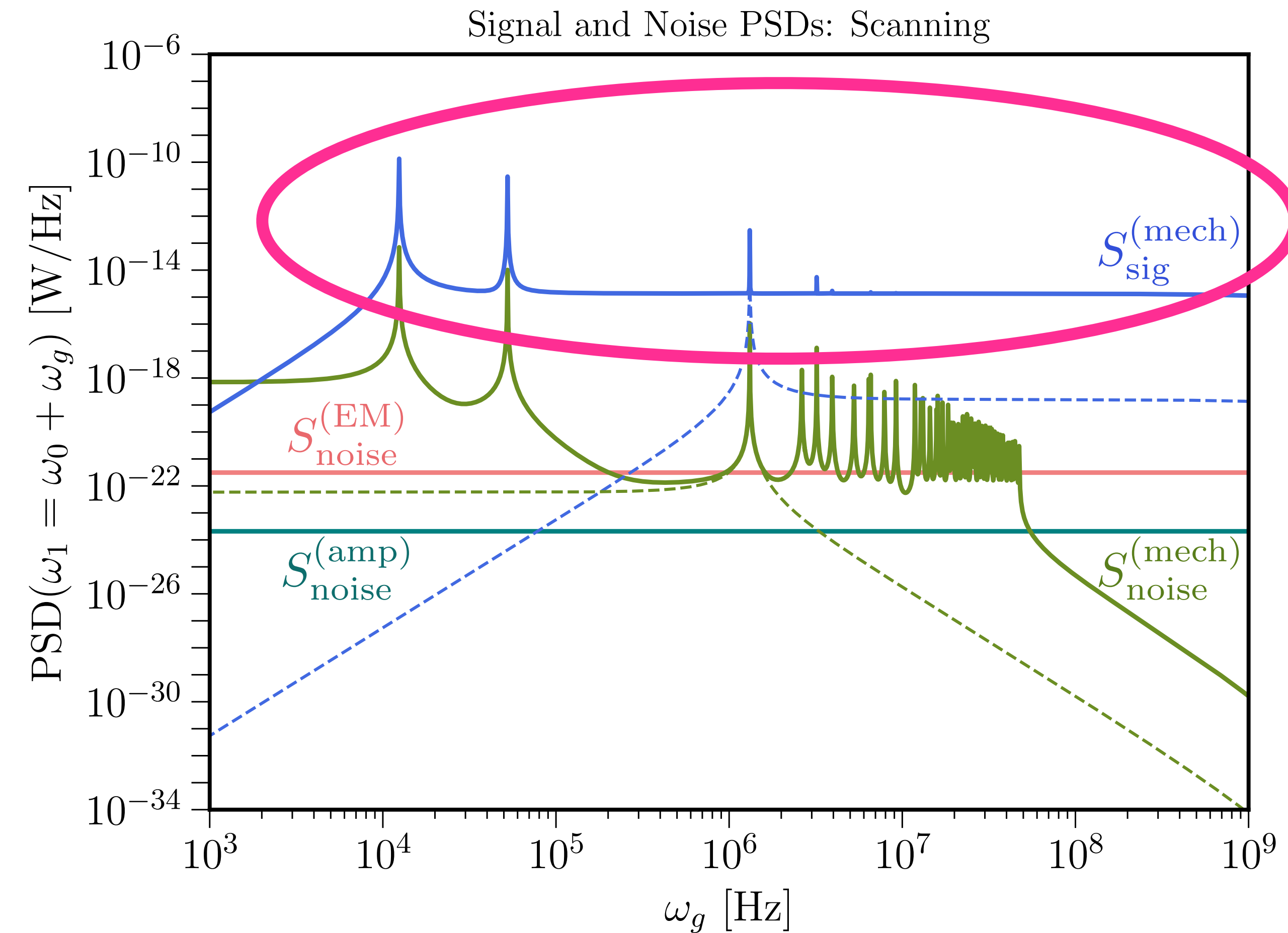
arXiv:2303.01518

RESONANT

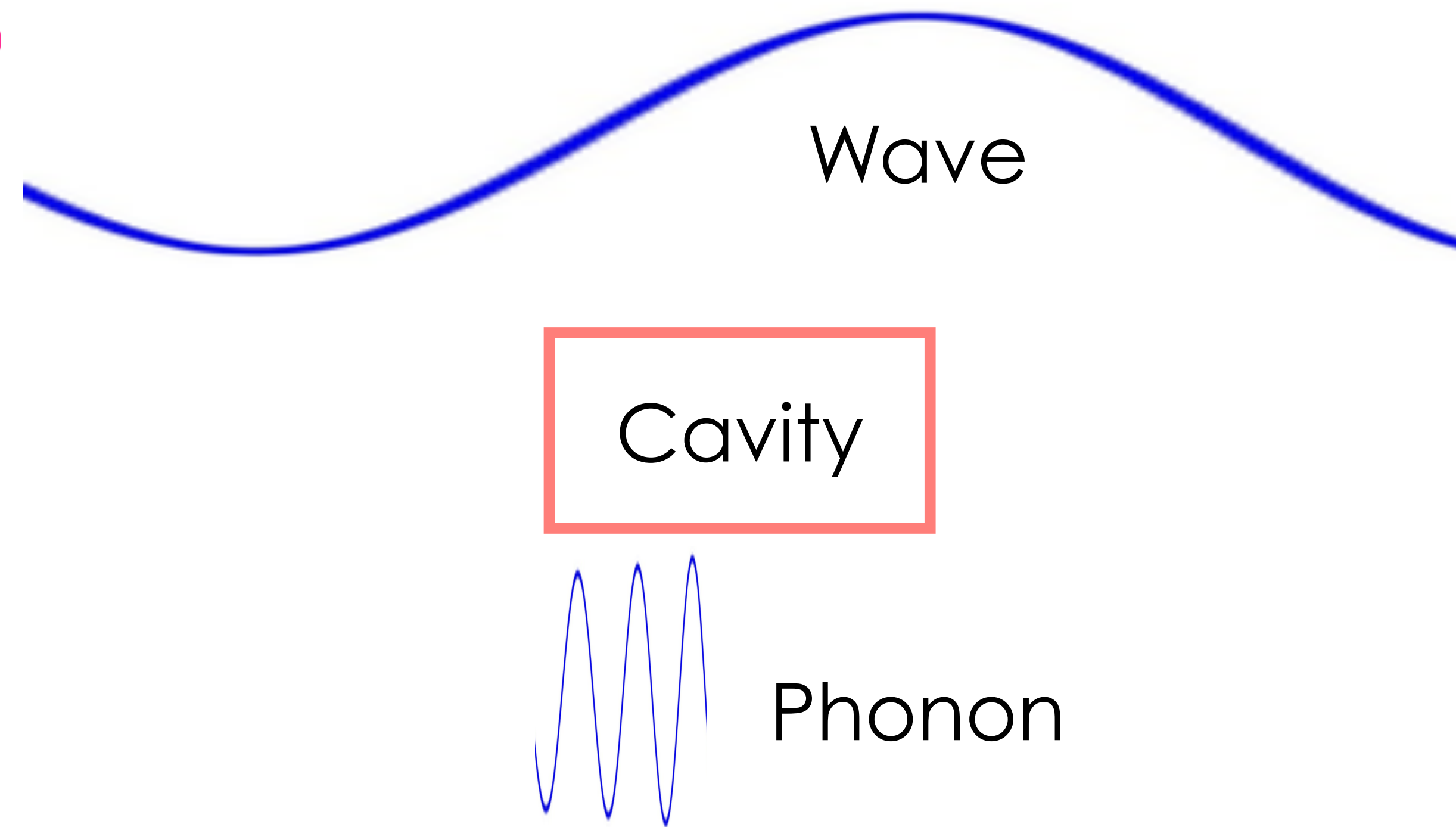


SIGNAL DOMINATED BY THE FIRST FEW MECHANICAL RESONANCES

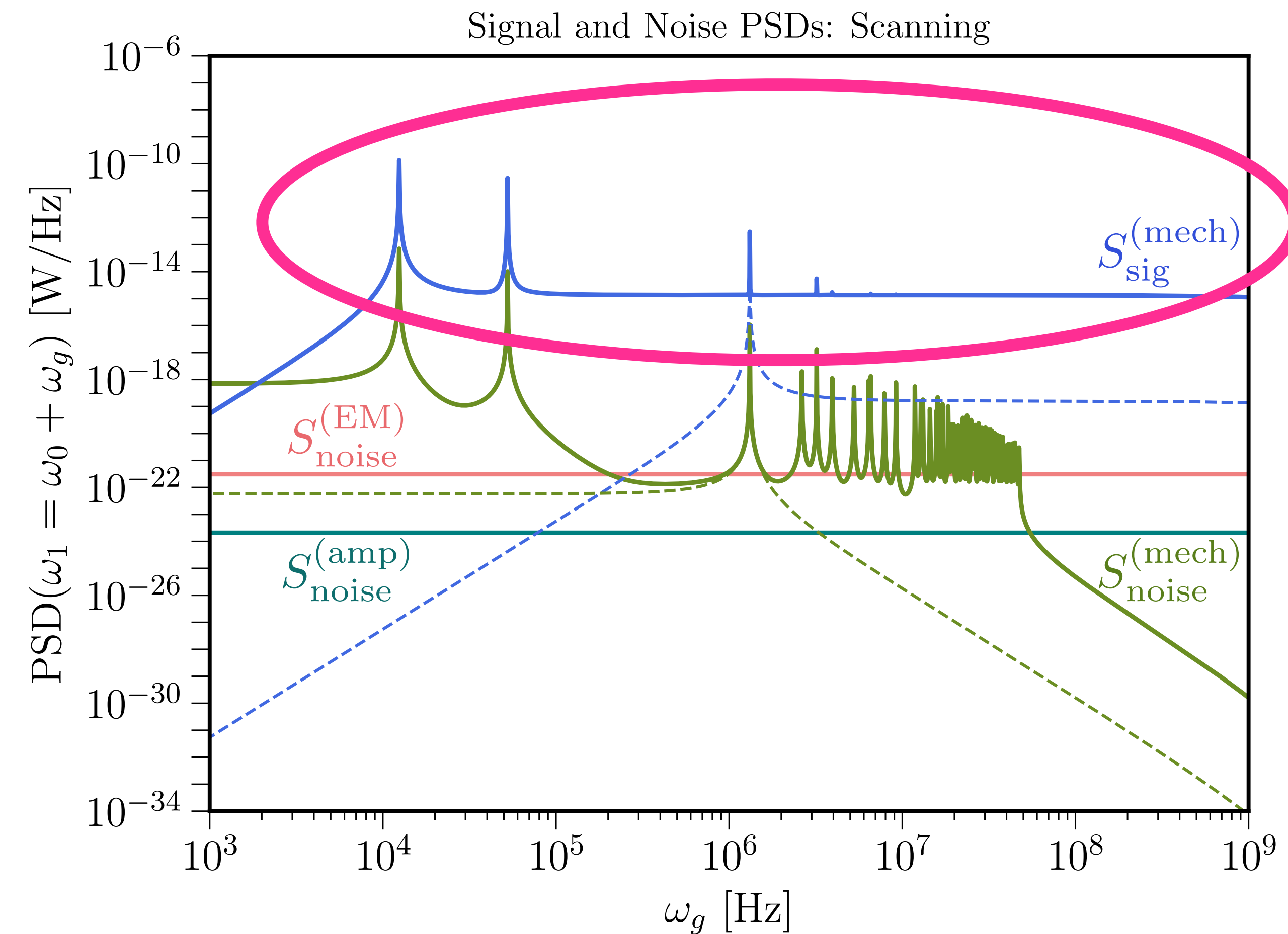
RESONANT



SIGNAL DOMINATED BY THE FIRST FEW MECHANICAL RESONANCES



RESONANT

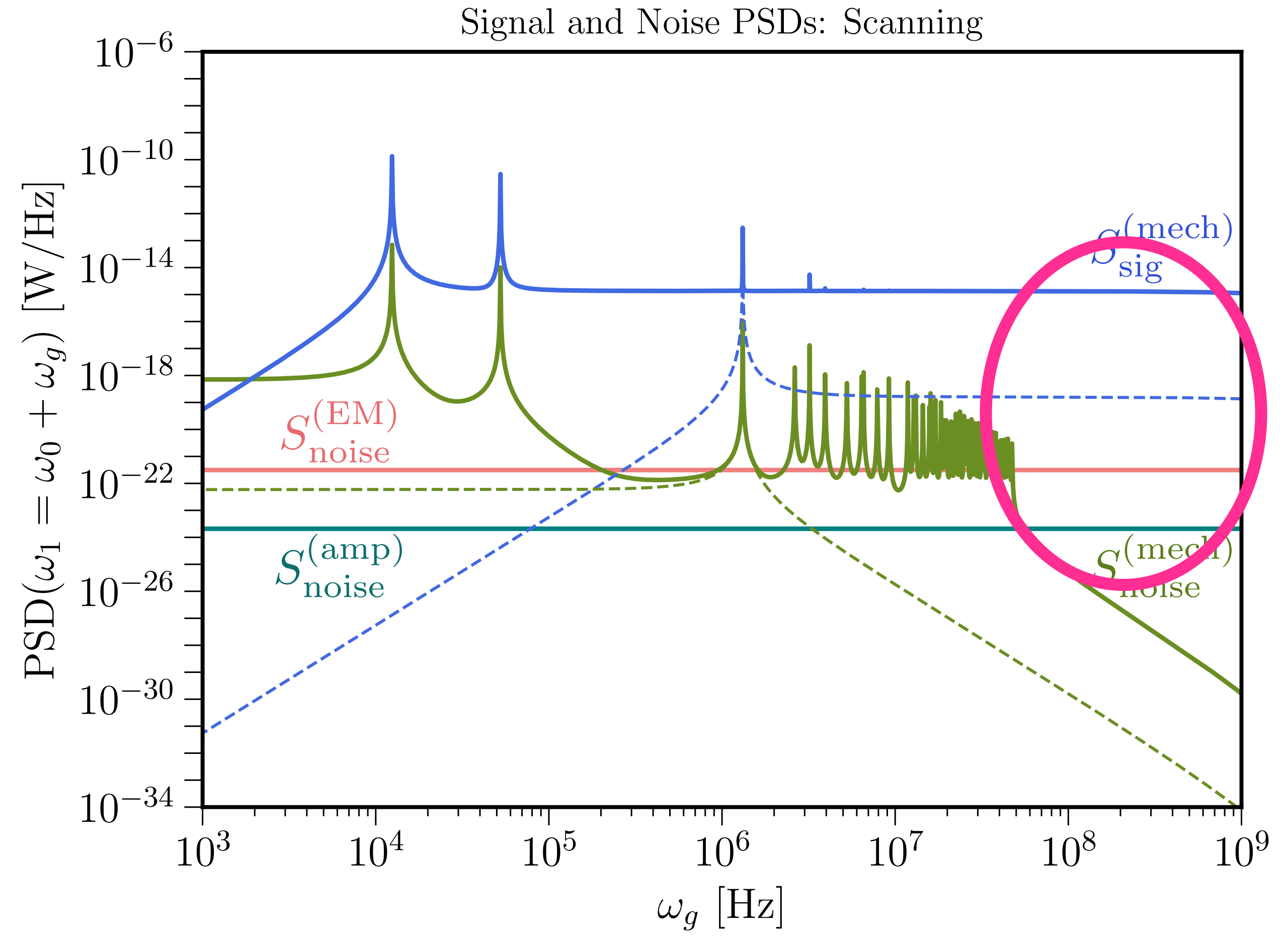


SIGNAL DOMINATED BY THE FIRST FEW MECHANICAL RESONANCES

$$\eta_{\text{mech}}^g \sim \frac{1}{\omega_m^2}$$

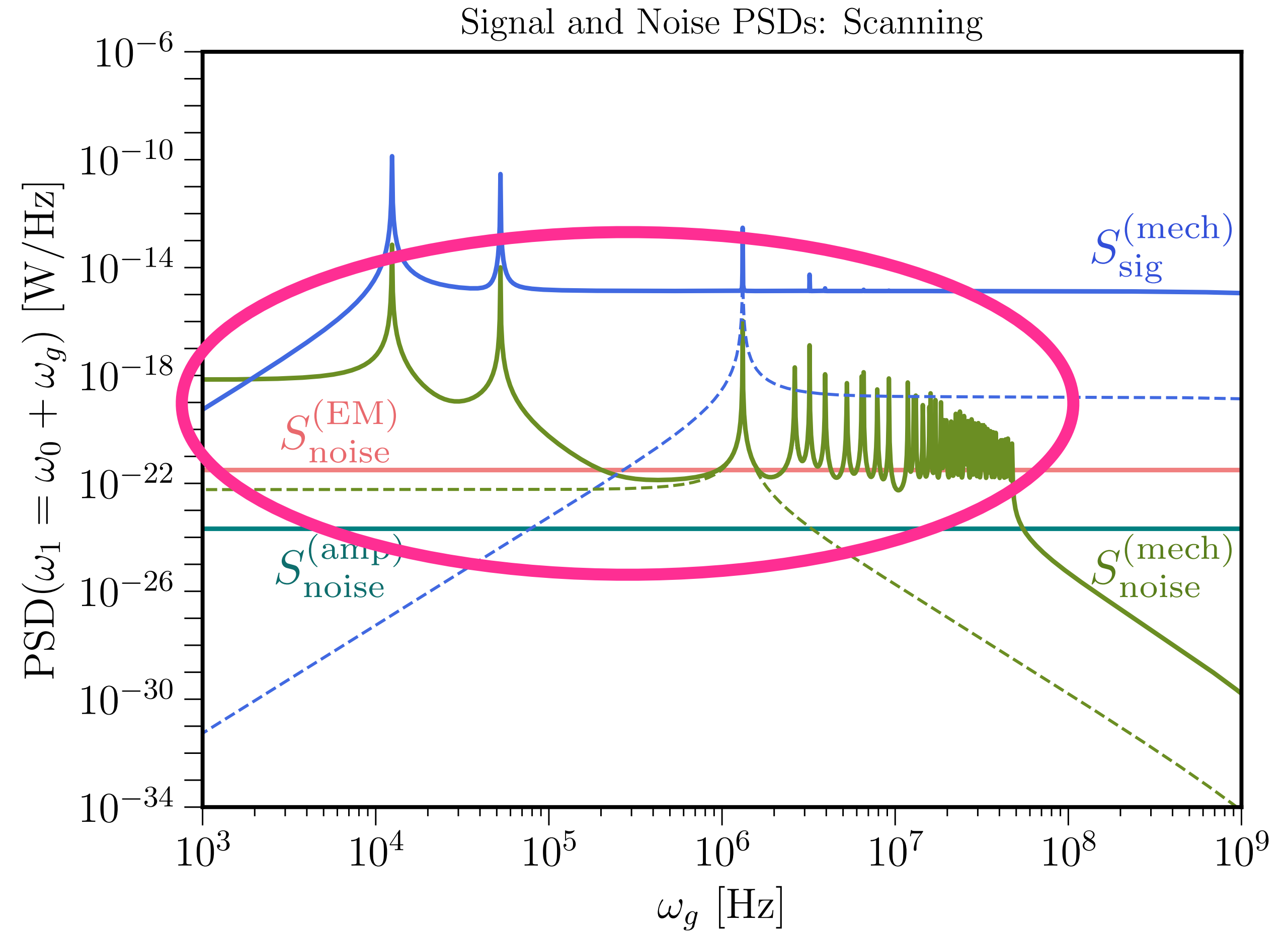
$$Q_m \sim \frac{1}{\omega_m}$$

RESONANT



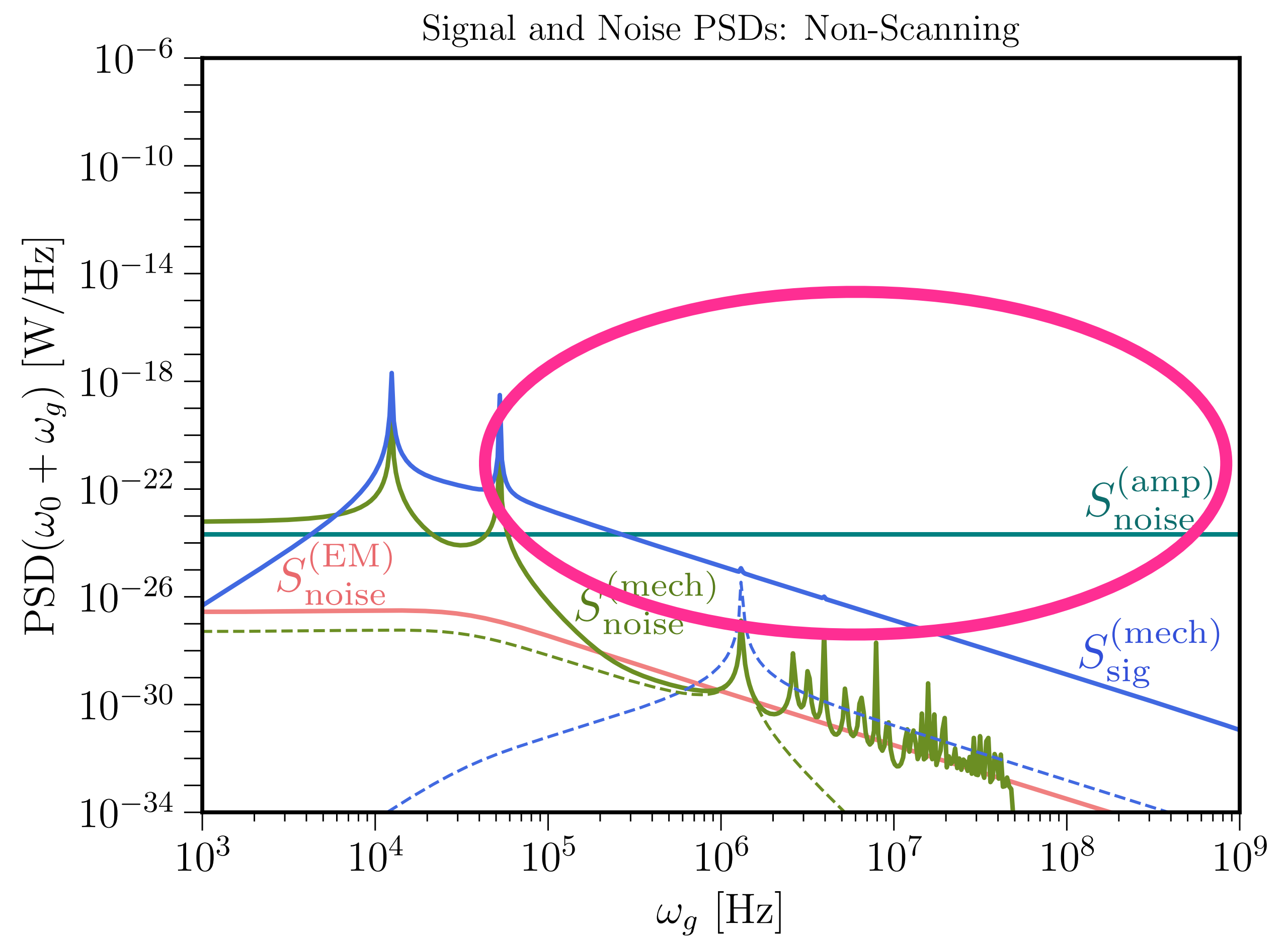
$$\text{SNR}_{\text{EM noise}} \simeq \frac{1}{64} \sqrt{\frac{\pi t_{\text{int}}}{2 \Delta\omega_{\text{osc}}}} Q_{\text{int}}^2 |\eta_{\text{mech}}^g|^2 |\eta_{\text{mech}}^{\text{EM}}|^2 \frac{P_{\text{in}}}{T} h_0^2$$

RESONANT



$$\text{SNR}_{\text{mech noise}} \approx \frac{1}{4} \sqrt{\frac{\pi^3 t_{\text{int}}}{2 \Delta \omega_{\text{osc}}}} |\eta_{\text{mech}}^g(\omega_p^{\text{sig}})|^2 \frac{|\eta_{\text{mech}}^{\text{EM}}(\omega_p^{\text{sig}})|^2}{|\eta_{\text{mech}}^{\text{EM}}(\omega_p^{\text{noise}})|^2} \frac{M_{\text{cav}}^2 V_{\text{cav}}^{2/3}}{S_{F_p}(\omega_g)} h_0^2 \omega_g^4$$

BROADBAND



$$\text{SNR}_{\text{amp noise}}^{(\text{broadband})} \approx \frac{1}{64} \sqrt{\frac{\pi t_{\text{int}}}{2 \Delta \omega_{\text{osc}}}} \frac{Q_{\text{int}}}{Q_{\text{cpl}}} |\eta_{\text{mech}}^g|^2 |\eta_{\text{mech}}^{\text{EM}}|^2 \frac{P_{\text{in}}}{T} h_0^2 \frac{\omega_0}{\omega_g^2}$$



GRAVITATIONAL WAVES
SOURCES

GRAVITATIONAL WAVE SIGNALS

THEORY

Primordial

PHASE TRANSITIONS, INFLATION, ...

EXPERIMENT

Noise-like

Frequency spectrum

THEORY

Primordial

PHASE TRANSITIONS, INFLATION, ...

$$\rho_{GW}(\omega) \sim h^2 \omega^4$$

EXPERIMENT

Noise-like

Frequency spectrum

$$\frac{\rho_{GW}}{\rho_0} \lesssim 10^{-5}$$

THEORY

Primordial

PHASE TRANSITIONS, INFLATION, ...

CAVITY EXPERIMENT

$$\frac{\rho_{GW}}{\rho_0} \gg 1$$

GRAVITATIONAL WAVE SIGNALS

THEORY

Primordial

PHASE TRANSITIONS, INFLATION, ...

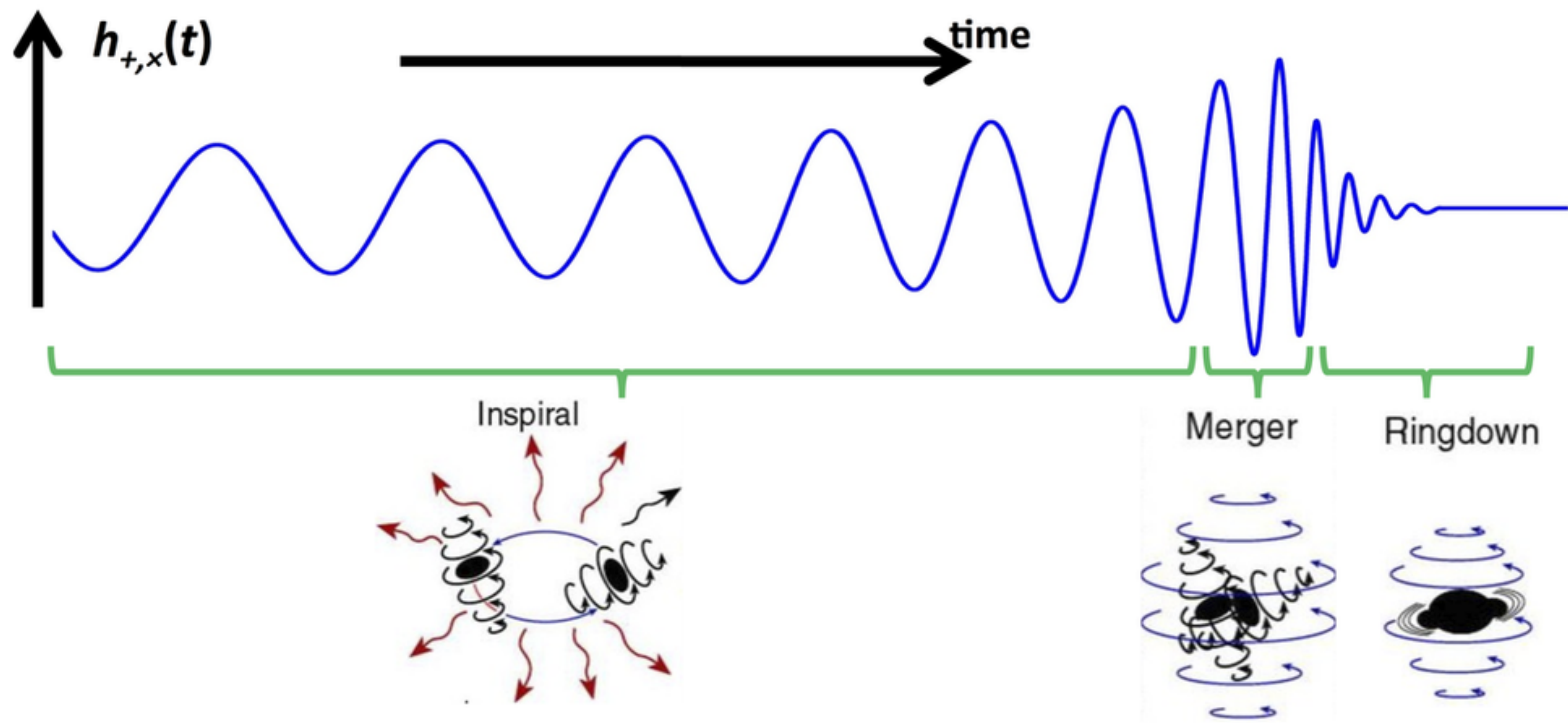
Primordial, but generated Today

PRIMORDIAL BHs, SUPERRADIANCE

CAVITY EXPERIMENT

$$\frac{\rho_{GW}}{\rho_0} \gg 1$$

MERGERS

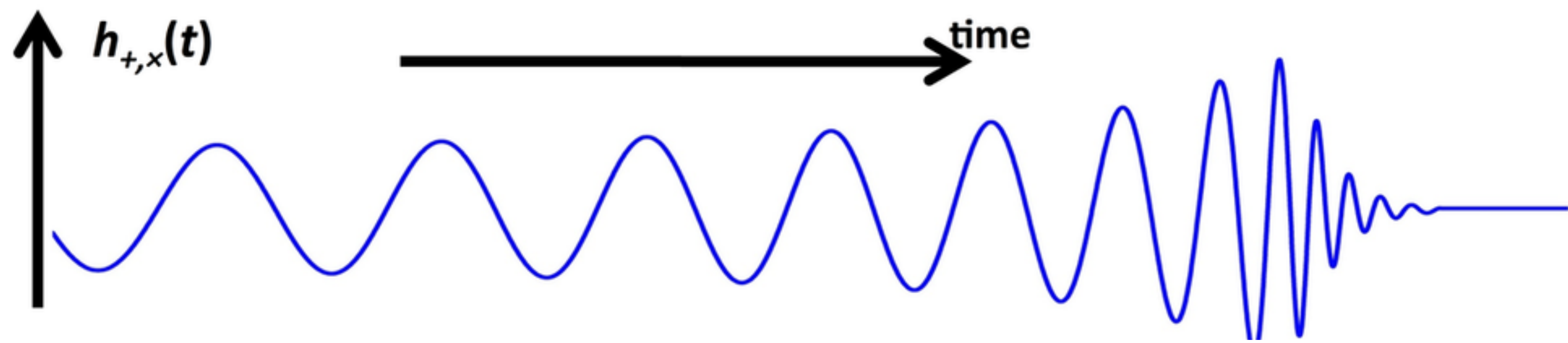


Rule of Thumb

$$\omega \sim \frac{c}{\text{size}}$$

$$h \sim \text{mass} \sim \text{size}$$

MERGERS



$$h_0 \sim 10^{-29} \times \left(\frac{1 \text{ pc}}{D} \right) \left(\frac{M_b}{10^{-11} M_\odot} \right)^{5/3} \left(\frac{\omega_g}{1 \text{ GHz}} \right)^{2/3}$$

THEORY

Primordial

PHASE TRANSITIONS, INFLATION, ...

Primordial, but generated Today

PRIMORDIAL BHs, SUPERRADIANCE

CAVITY EXPERIMENT

$$\frac{\rho_{GW}}{\rho_0} \gg 1$$

$$h_{cav}/h_{sig} \gtrsim 10^5$$

THEORY

CAVITY EXPERIMENT

Primordial

PHASE TRANSITIONS, INFLATION, ...

$$\frac{\rho_{GW}}{\rho_0} \gg 1$$

Primordial, but generated Today

PRIMORDIAL BHs, SUPERRADIANCE

$$h_{cav}/h_{sig} \gtrsim 10^5$$

Astrophysical

BHs, NEUTRON STARS, ...

$$\omega \lesssim 10 \text{ kHz}$$

(roughly)