A Case For and an Implementation Of Composable CUDA Graph Algorithms

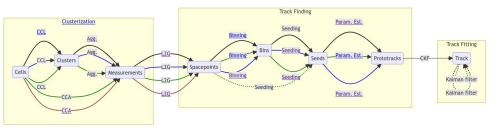
Stephen Nicholas Swatman, ACTS Parallelization Meeting, January 27th, 2023

Context

- Track reconstruction in traccc is a dataflow programming problem
- Data moves between different algorithms
- Arbitrary sub-chains must be independently executable
- The traccc::algorithm class was designed to model algorithms to be
 - Composable
 - Asynchronous
- Did not end up really taking off

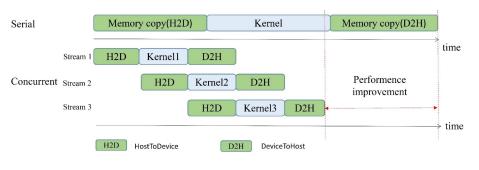
Asynchronicity

- Asynchronous execution is key in dataflow programming
- Allows hiding of latency from kernel launches, data movement, allocations, etc.
- SYCL programming model mostly enforces this implicitly
- CUDA programming model requires explicit asynchronicity



Asynchronous CUDA Programming

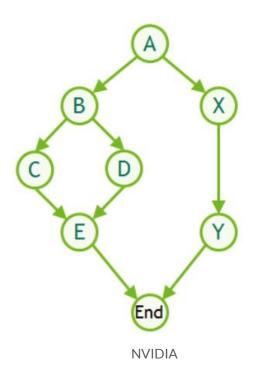
- CUDA models asynchronicity using ordered streams
- Streams allow asynchronous kernel launches, memory copies, etc.
- But streams enforce execution in order of enqueuement



Zhang et at. (2021)

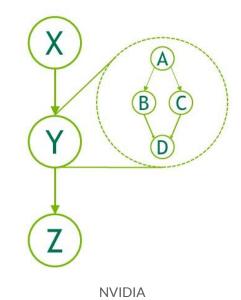
CUDA Graphs

- CUDA graphs provide an abstraction over streams
- Graphs allow dependency-bound re-ordering of processes!
- Potential for more efficient execution of dataflow code



CUDA Graphs in traccc

- To use CUDA Graphs in traccc, need to represent every algorithm as a stand-alone graph
 - Must be individually executable
- CUDA supports embedding graphs inside other graphs!
- Problem solved!



Sadly not: child graph nodes cannot contain allocations

No allocations in child graphs

- Most of our algorithms require intermediate allocations of scratch space
- This makes it impossible to use embedded CUDA graphs
- Need a different solution!

Description

Creates a new node which executes an embedded graph, and adds it to graph with numDependencies dependencies specified via pDependencies. It is possible for numDependencies to be 0, in which case the node will be placed at the root of the graph. pDependencies may not have any duplicate entries. A handle to the new node will be returned in pGraphNode.

If hGraph contains allocation or free nodes, this call will return an error.

The node executes an embedded child graph. The child graph is cloned in this call.

Proposal: traccc graph algorithm descriptor

- If CUDA will not let us use its mechanism of composition, we will design our own
- Proposal: classes describing how to build (sub-)graphs to perform a given algorithm!
- Described by config type *C*, argument type *A*, and return type *R*
- Model computation $(C, A) \rightarrow R$

class alg1 {

public: using result_type = std::tuple<int *, std::size_t>; using config_type = std::size_t; using argument_type = std::monostate;

static std::tuple<cudaGraph_t, cudaGraphNode_t, result_type> create_graph(
 config_type c, argument_type) {
 cudaGraph_t g;

CUDA_ERROR_CHECK(cudaGraphCreate(&g, 0));

cudaGraphNode_t allocation_node;

cudaMemAllocNodeParams alloc_params; memset(6alloc_params, 0, sizeof(alloc_params)); alloc_params.bytesize = c * sizeof(int); alloc_params.poolProps.allocType = cudaMemAllocationTypePinned; alloc_params.poolProps.location.id = 0; alloc_params.poolProps.location.type = cudaMemLocationTypeDevice;

Two classes of nodes

Initial algorithm nodes P₀

- Exclusively usable as the first computation in a chain
- Required to have a static method: static std::tuple<cudaGraph_t, cudaGraphNode_t, R> create_graph(C, A)

Non-initial algorithm nodes P₊

- Exclusively usable in composition *after* an initial node
- Required to have a static method: static std::tuple<cudaGraphNode_t, R> append_graph(cudaGraph_t, cudaGraphNode_t, C, A)

Concepts

 If available, requirements are verified using C++20 concepts!

```
concept graph_descriptor_c = requires {
    requires requires(cudaGraph t g, cudaGraphNode t n,
        { T::append_graph(g, n, c, a) }
concept initial_graph_descriptor_c = graph_descriptor_c<T>and requires {
    requires requires(typename T::config_type c, typename T::argument_type a) {
        { T::create_graph(c, a) }
```

Composition of graphs

- Graph descriptors can be composed using two rules:
 - $\circ \qquad \mathsf{P}_{_{\mathrm{O}}}(C,A,R) \circ \mathsf{P}_{_{+}}(C',A',R') = \mathsf{P}_{_{\mathrm{O}}}(C \times C',A,R')$
 - $\circ \qquad \mathsf{P}_+(C,A,R) \circ \mathsf{P}_+(C',A',R') = \mathsf{P}_+(C \times C',A,R')$
- Implementation included in current pull request!

What does this buy us

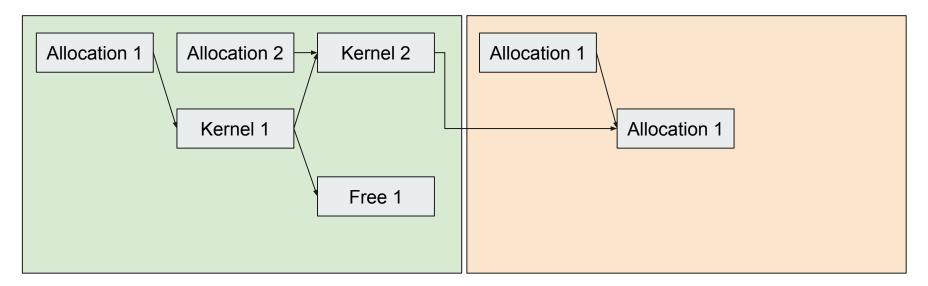
- Over straight CUDA graphs
 - Ability to compose algorithms arbitrarily
- Over simple CUDA streams
 - Inter-algorithm re-ordering of operations
 - Intra-algorithm re-ordering of operations



Example

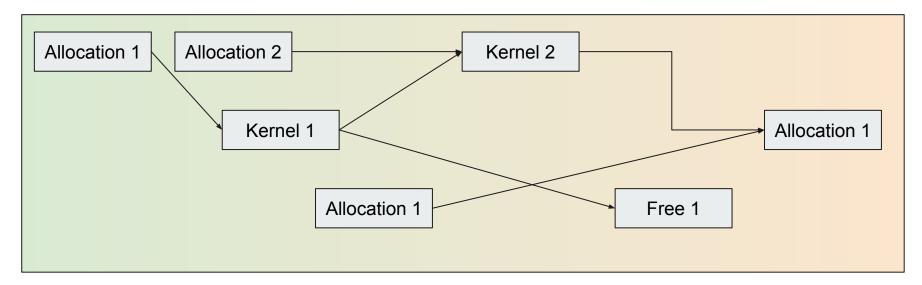
Algorithm 1

Algorithm 2



Example

Algorithm $2 \circ$ Algorithm 1



Status

- Initial implementation of this in <u>#307</u>
- Includes practical example of programming with these graph descriptors
- Converting clusterization + spacepoint formation + seeding to this model
- Drop-in compatibility with traccc::algorithm through traccc::graph_algorithm
- Feedback and comments very welcome!