



# SOFT MATTER PHYSICS AND THE PHYSICS OF LIVING MATTER



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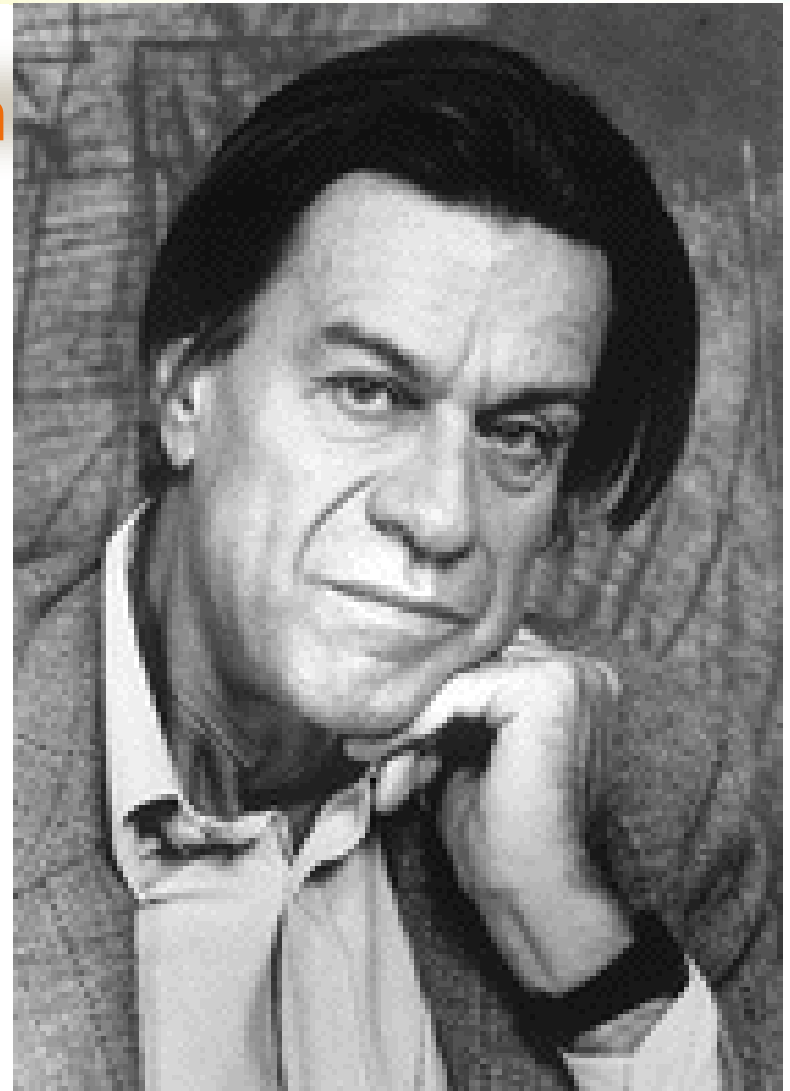
- 1. Soft Matter. Definition: intermediate condensed matter state between solids and liquids; structured in the intermediate range of the nanoscale.**
- 2. Soft Matter Physics: chapters**
- 3. Liquid crystals: translational and orientational melting or dissolving: solid, liquid and plastic crystals**
- 4. Living matter as a soft nanocomposite**
- 5. Theoretical description of Living Matter: Generalized Molecular Asymmetry Model**
- 6. Flexoelectricity of Living Membranes**



**SOFT MATTER: new term in  
Condensed Matter  
Physics**

**First introduced by  
Pierre-Gilles de  
Gennes, NPW, in his  
Nobel Lecture (1991)**

*Angew. Chem. Int. Ed. Engl.*  
**31, 842-845, (1992)**



**(1932-2007)**



- Complex liquids: caoutchouc. Milk, blood, ink, latex, mayonnaise.
- Soft condensed media: colloids, emulsions, suspensions, polymers, liquid crystals, etc.
- Mechanical properties of soft media: shear elastic modulus drastically lower than bulk compressibility modulus.
- Space scales of molecular organization:
  - microscopic ( $< 1$  nm) isotropic liquids
  - mesoscopic (1-100 nm) soft matter
  - macroscopic ( $> 1$   $\mu\text{m}$ ) solid crystals



## **SOFT MATTER PHYSICS CHAPTERS:**

- **Liquid crystal physics.** Thermotropics and lyotropics. Plastic crystals.
- **Polymer physics.** Melts, solutions, biopolymers
- **Physical chemistry.** Colloids and surfactants, foams, emulsions
- **Physics of networks.** Glues, rubbers, gels, cytoskeletons
- **Living matter physics.** Liquid crystalline biostructures, notably biomembranes
- **Physics of granular matter.** Sand, snow

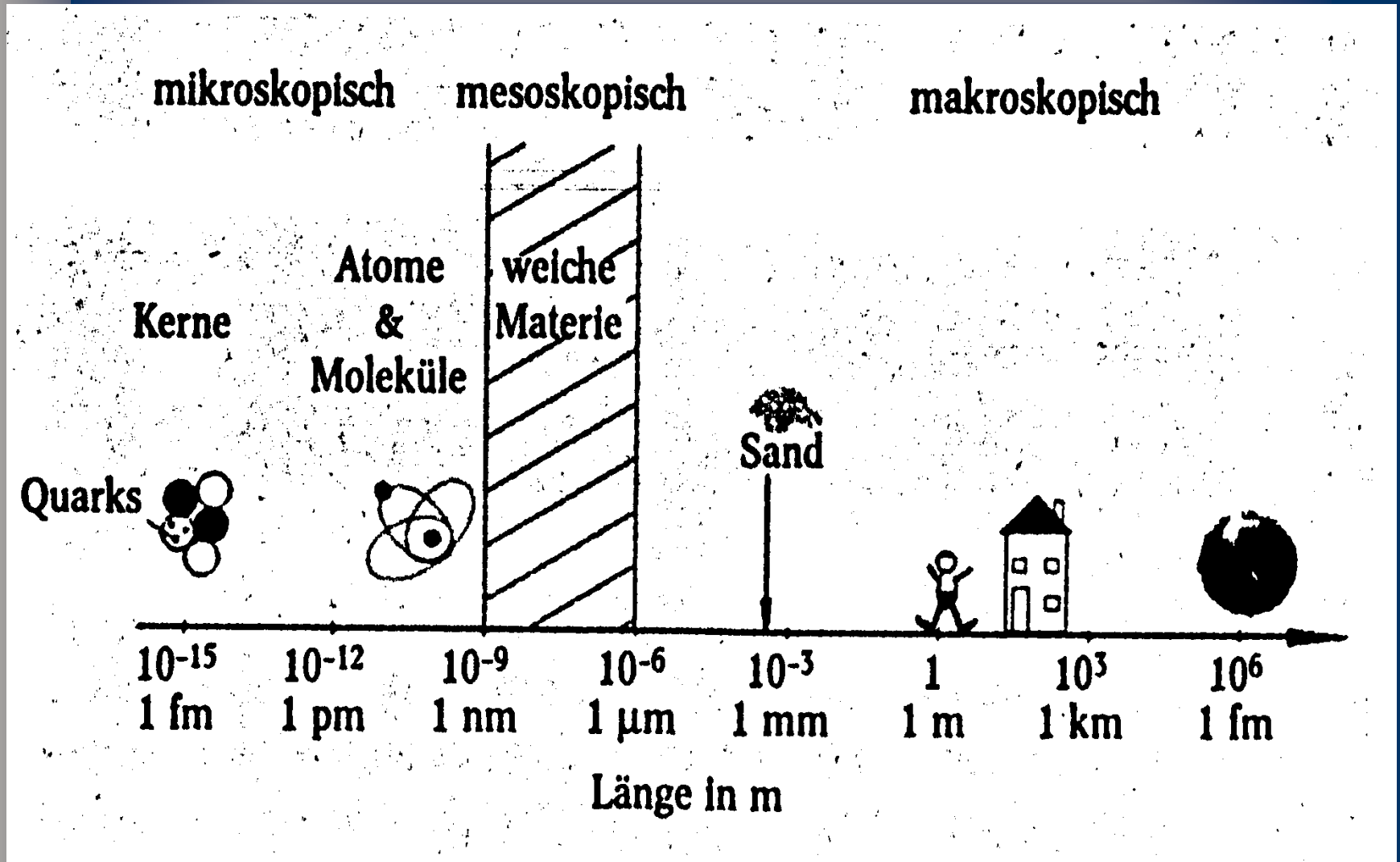


■ *Basic question:*

*Why is living matter  
soft?*

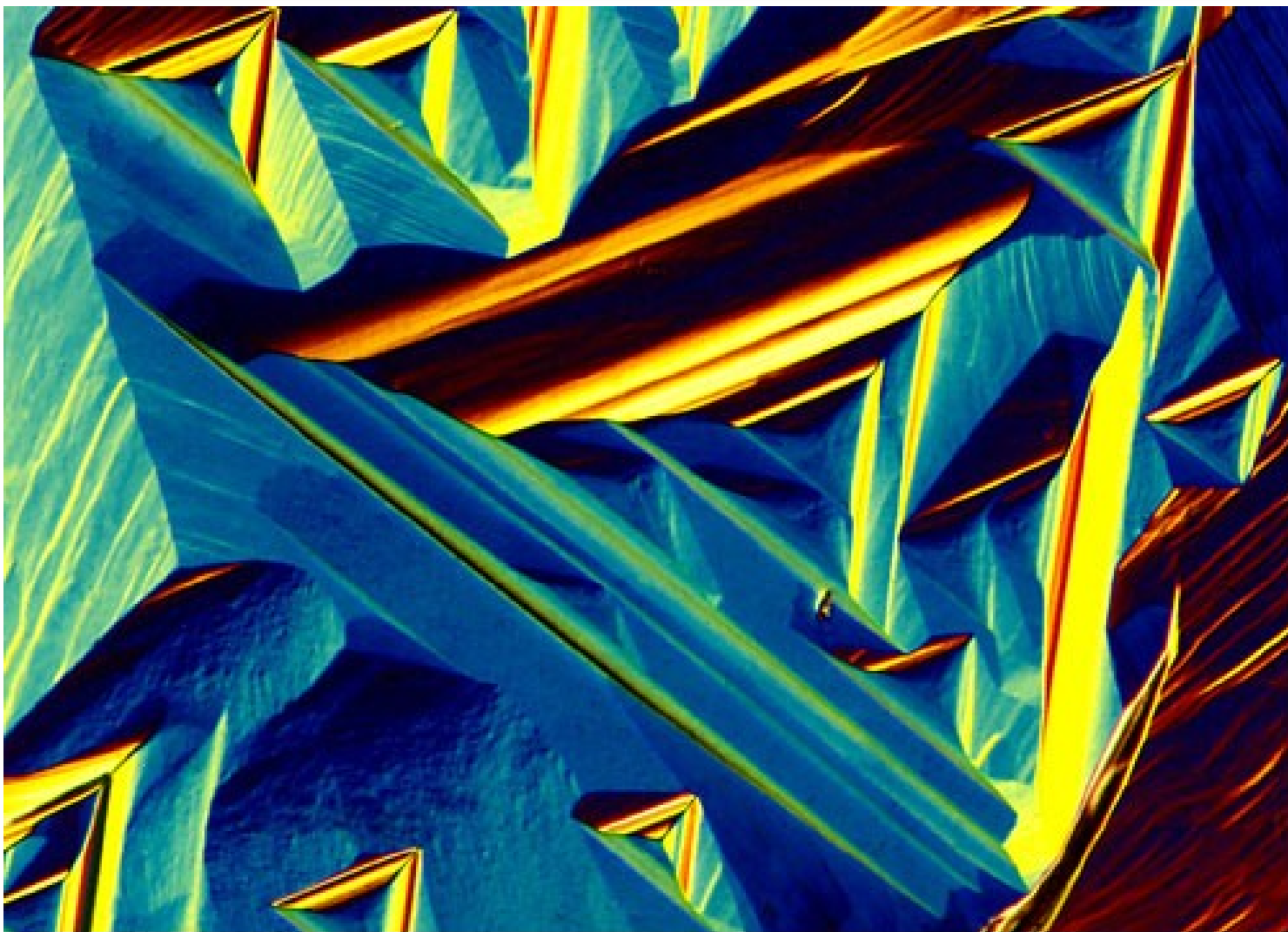


## Space scales of molecular organization





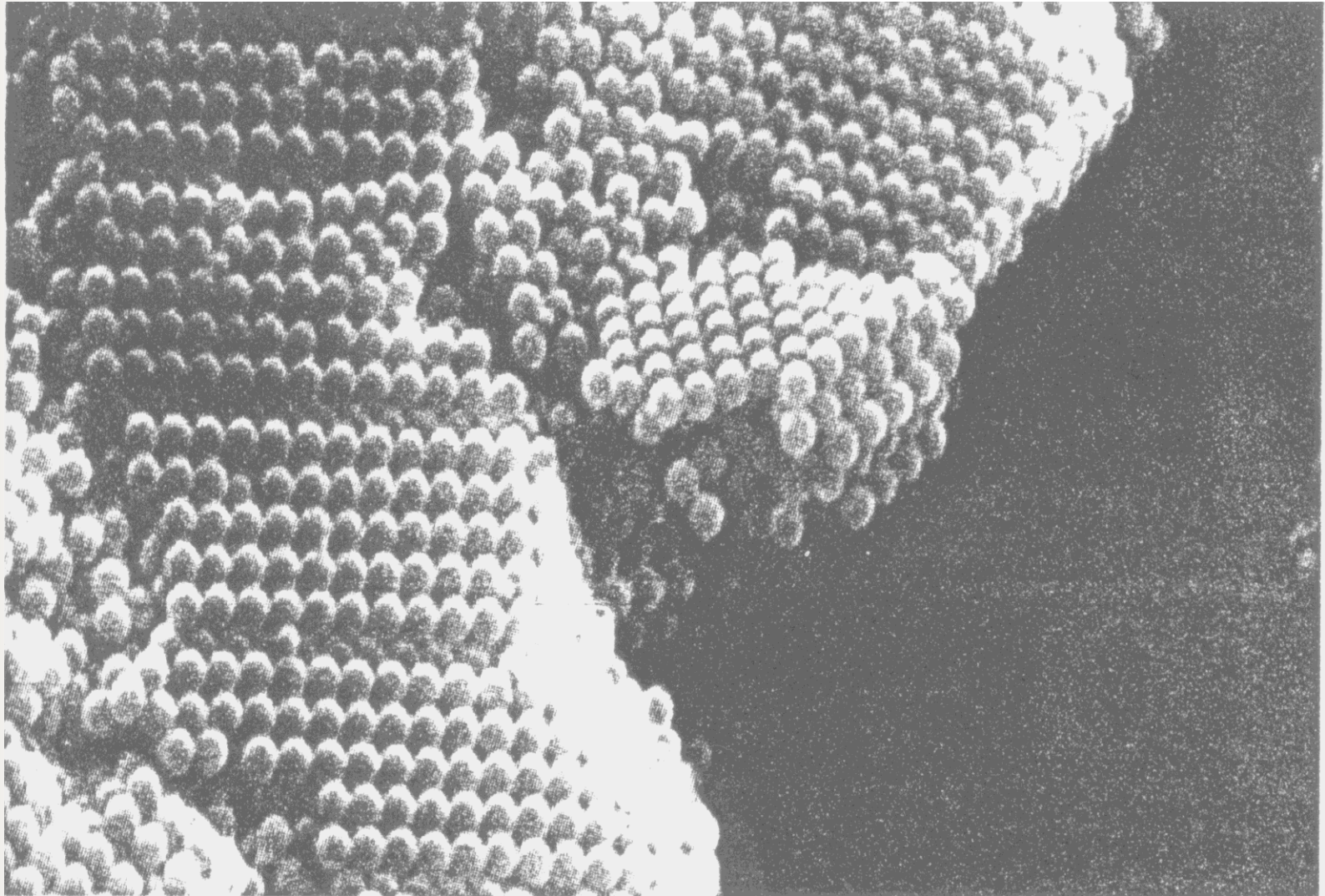
## DIAMOND UNDER MICROSCOPE







Colloid crystal of latex spheres in water: plastic crystal

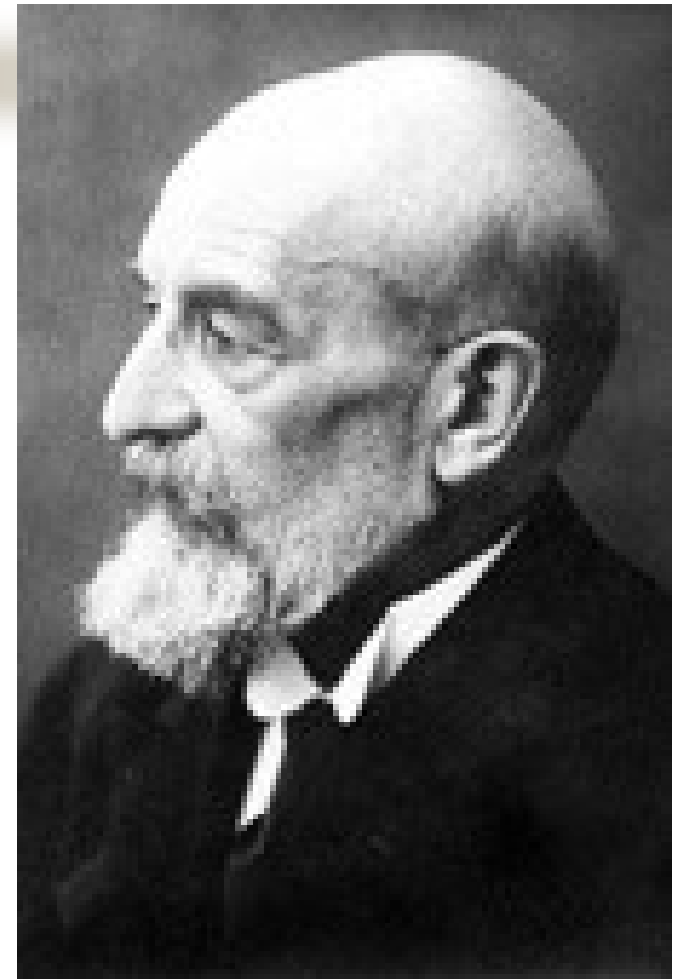




# Liquid Crystal Physics:

Georges Friedel

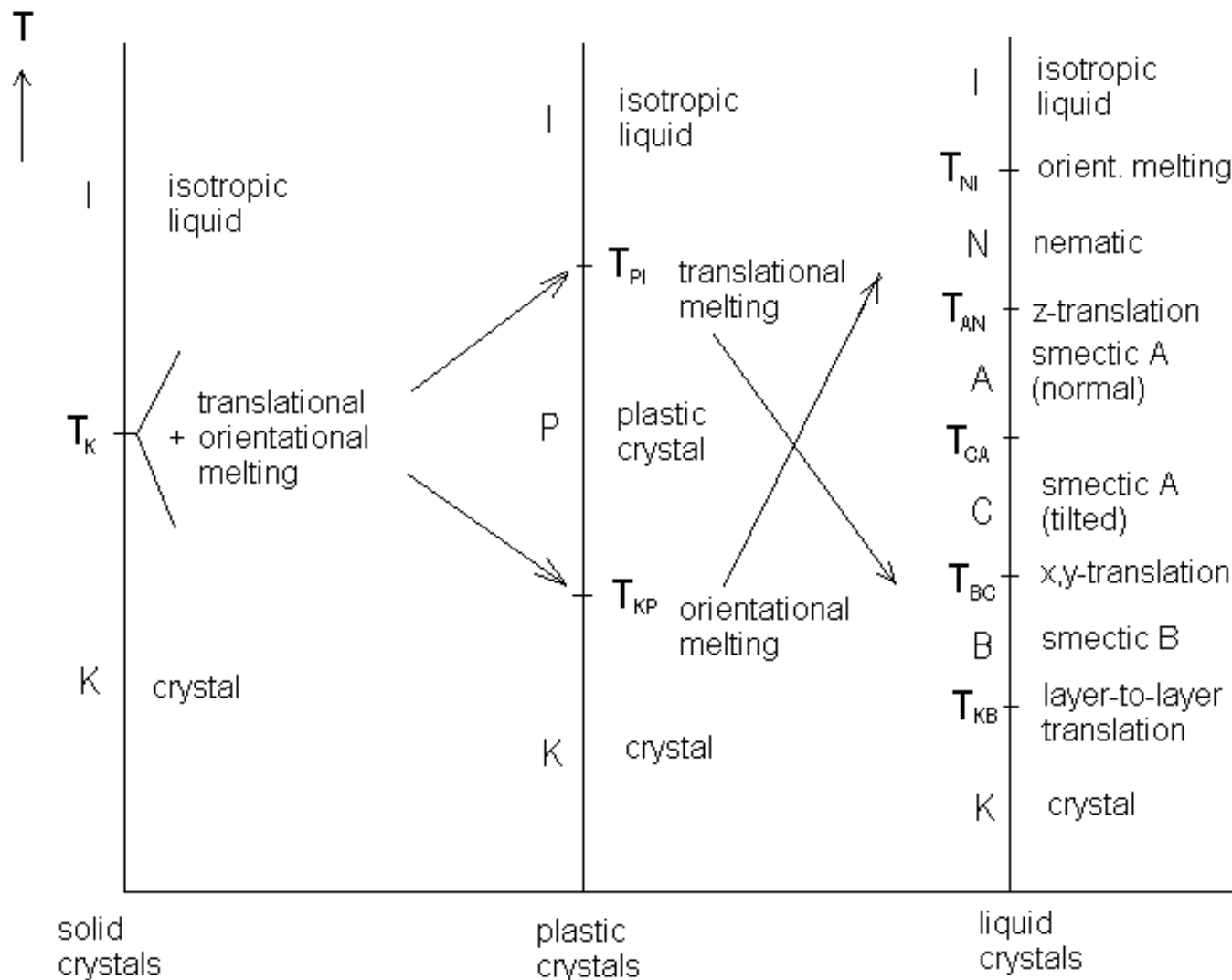
États mésomorphes  
de la matière  
(*Annales de  
Physique*, **18**, 273,  
374, 1922)



(1865-1933)



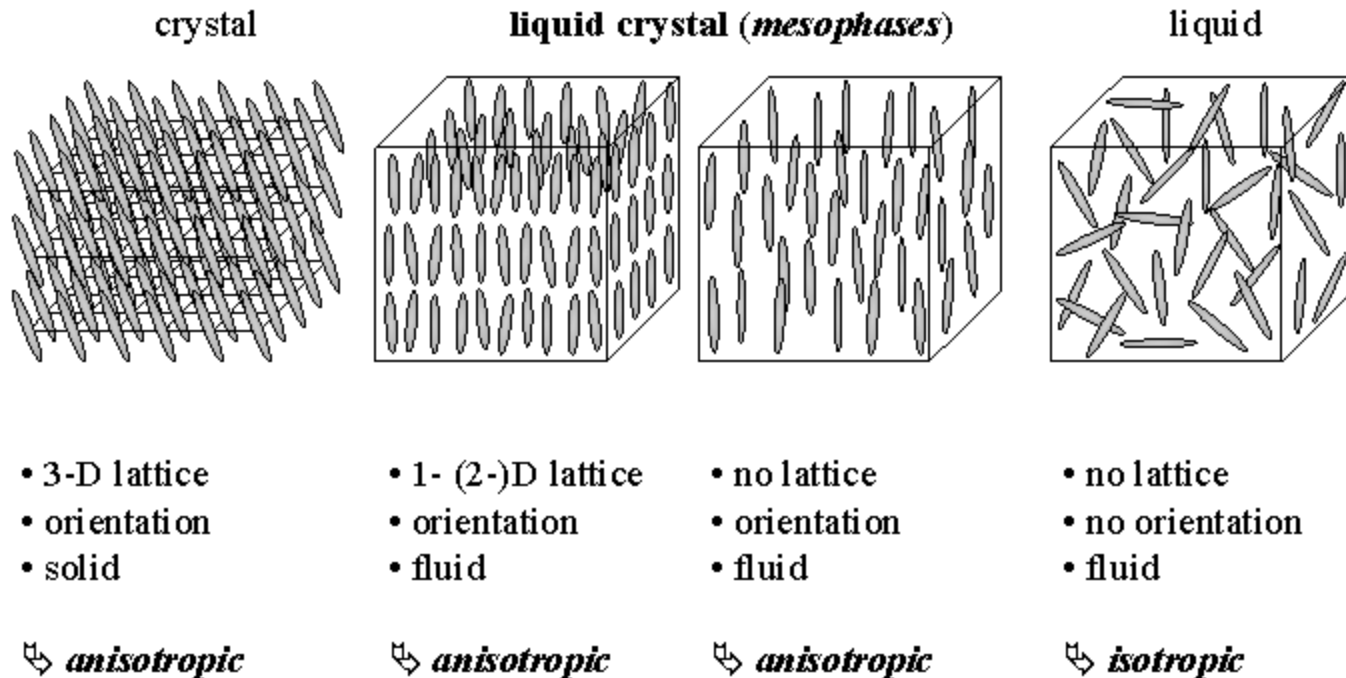
# MELTING





## *thermotropic liquid crystals*

temperature



Liquid crystalline mesophases between the solid and isotropic liquid phase



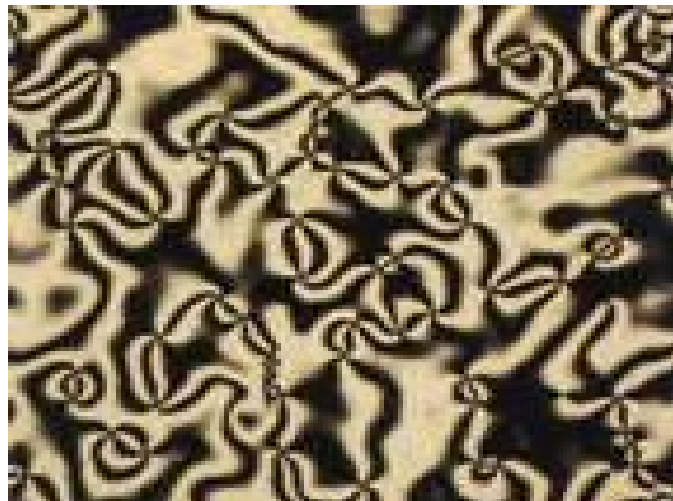
## SMECTIC A



## SMECTIC A (TEM)



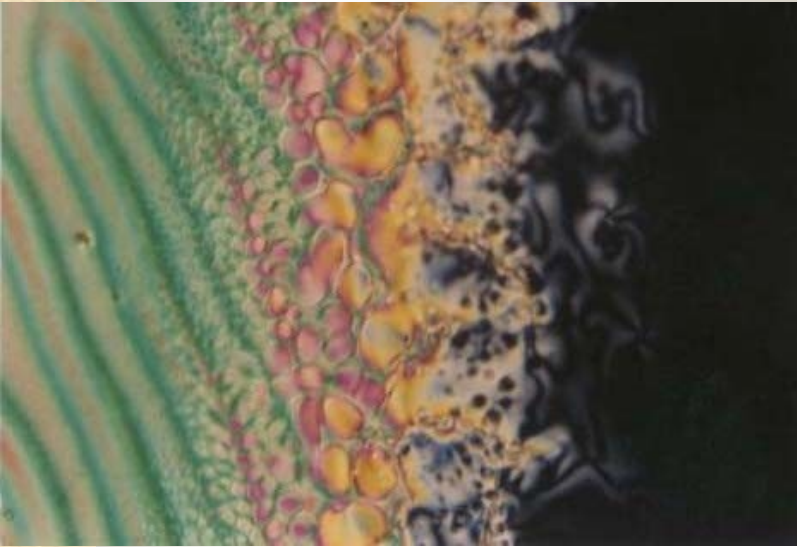
*Photo courtesy Dr. Mary Neubert ICI-KSU*



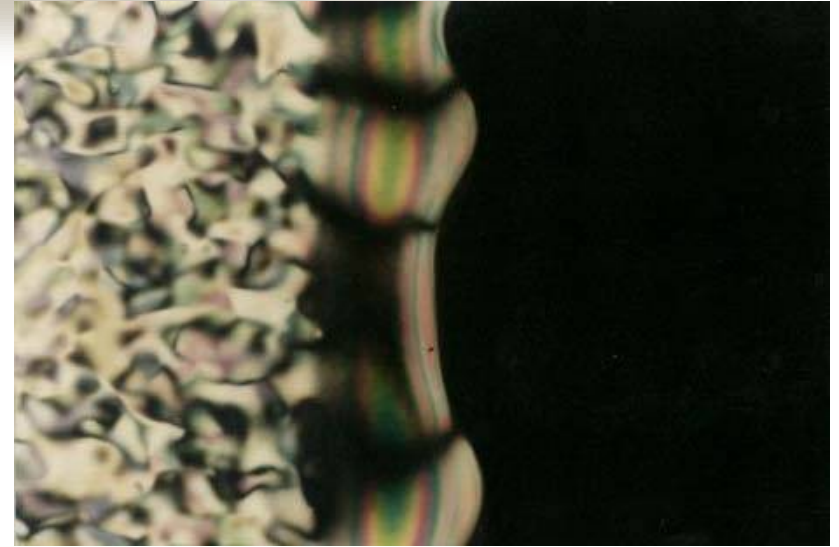
## NEMATIC



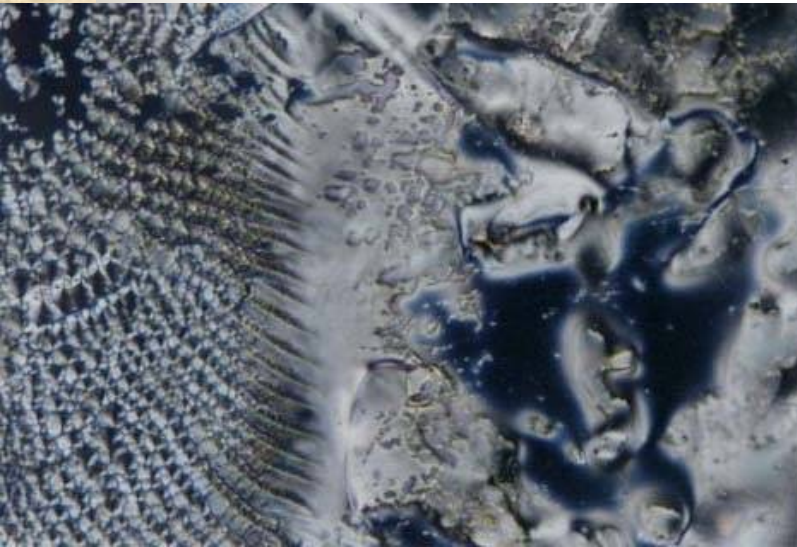
Phase transitions in thermotropics. Temperature wedge



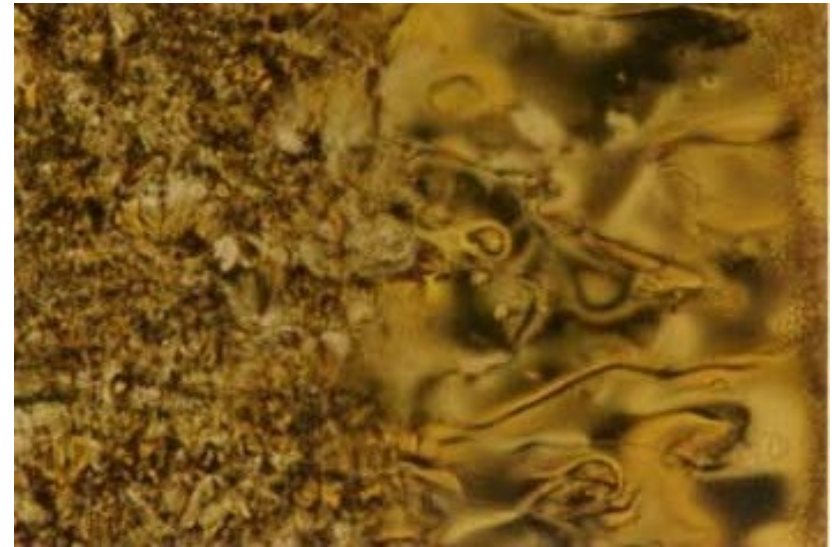
SmA - Iso



Nem - Iso



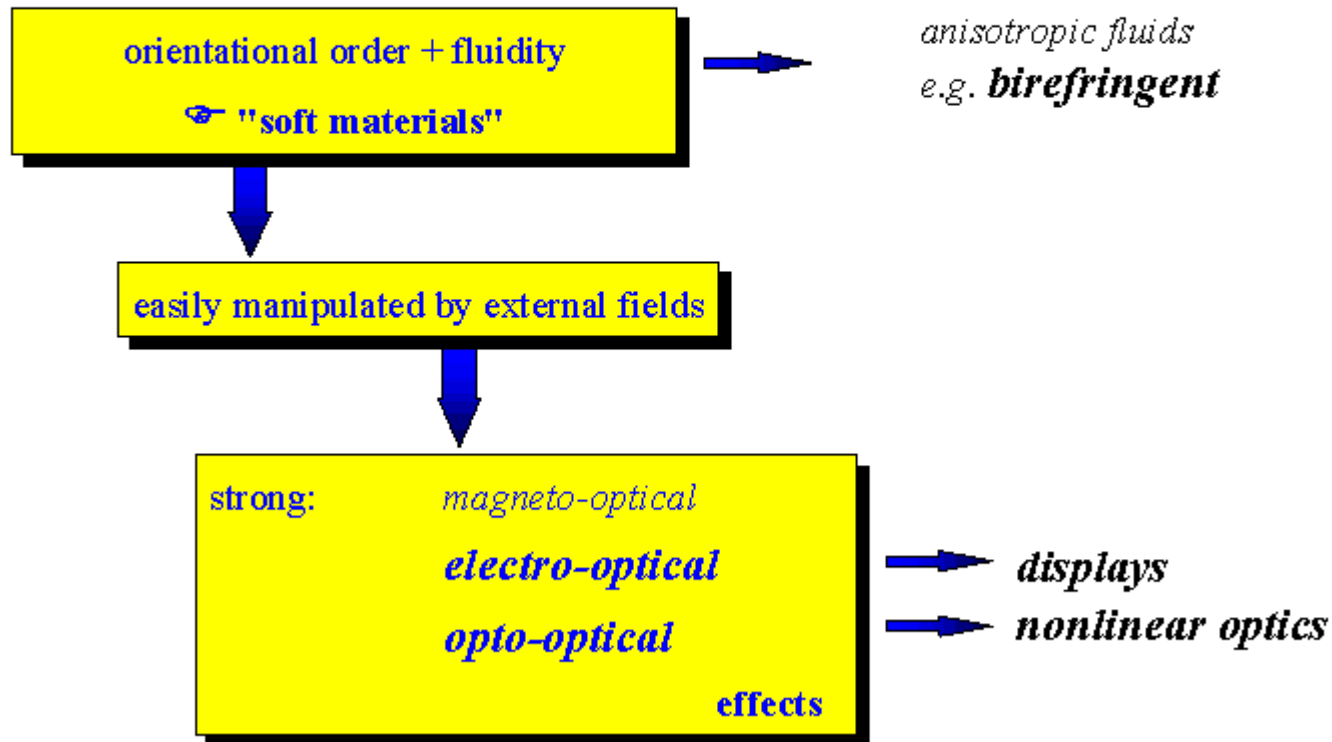
SmA - Nem



SmC - Nem



*unique properties*



Physical properties of thermotropic liquid crystals

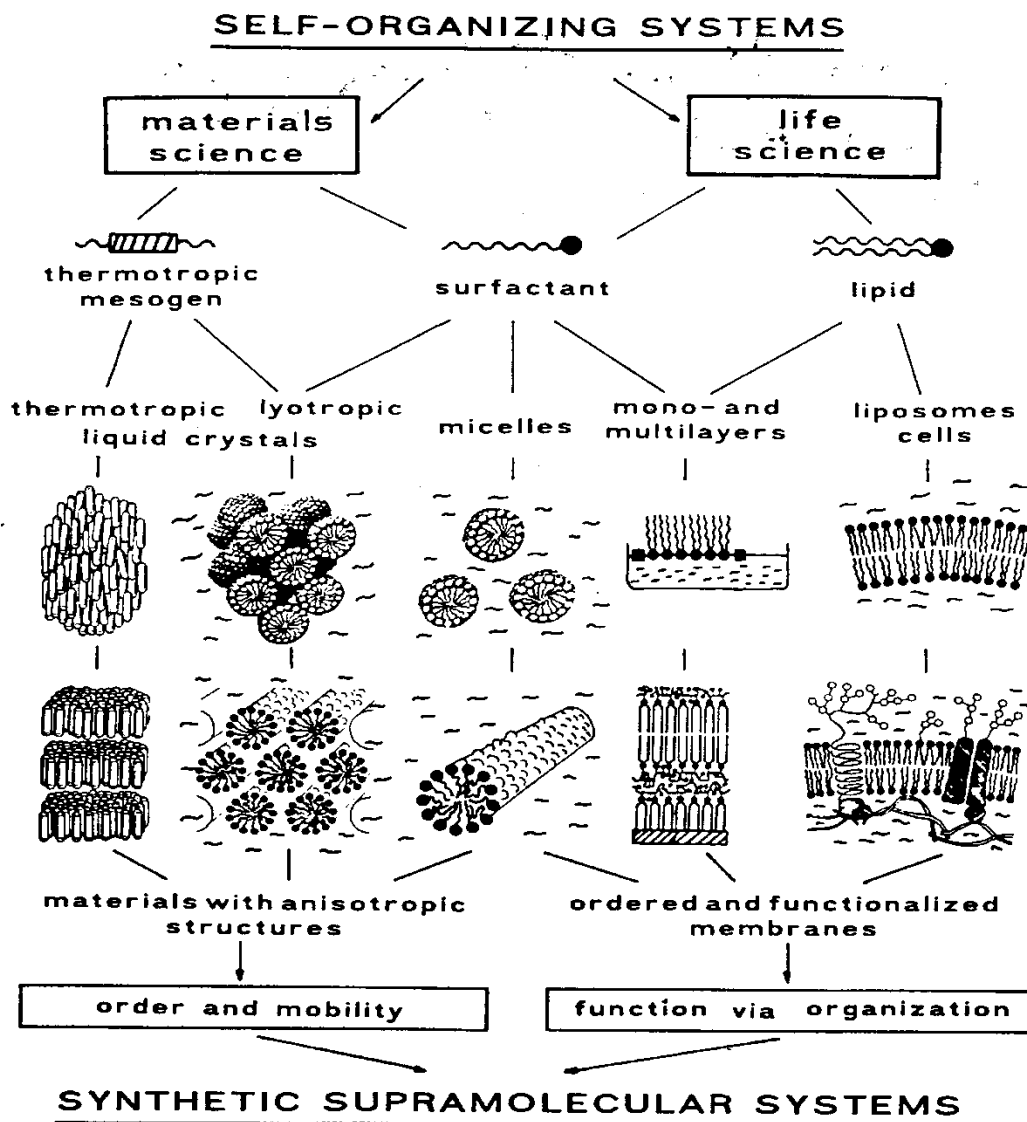


# THERMOTROPIC AND LYOTROPIC MESOGENS





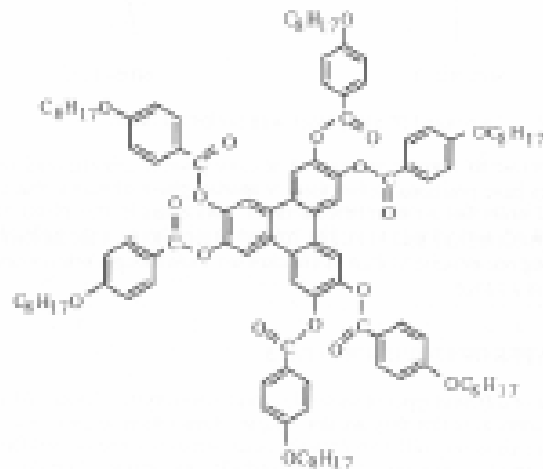
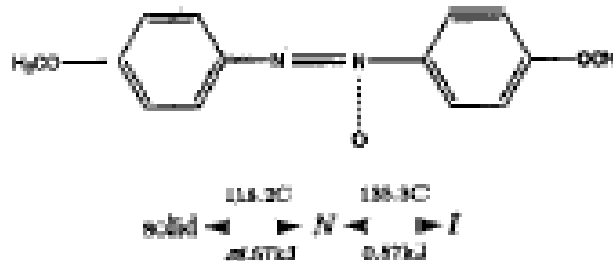
# LIQUID CRYSTAL WORLD: H. Ringsdorf



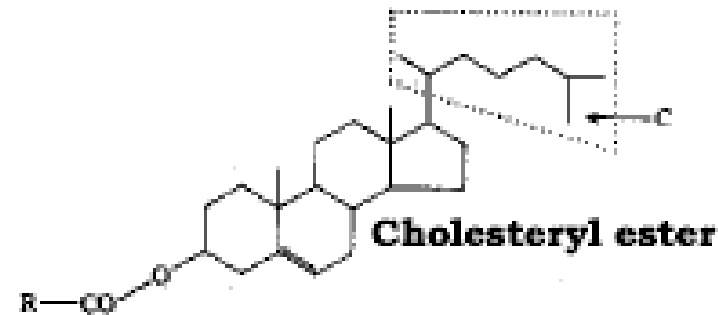
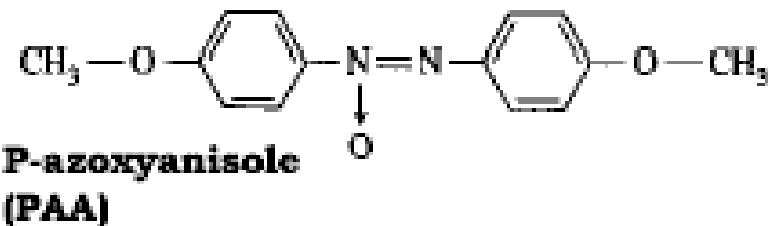
# LEGOs of liquid crystals

## Small organic molecules

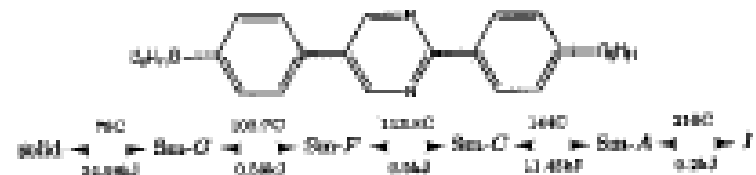
4,4' - dimethoxyazoxybenzene (p-azoxyanisole)



- Anisotropy
- Stiff backbone and flexible tails
- Typically thermotropic

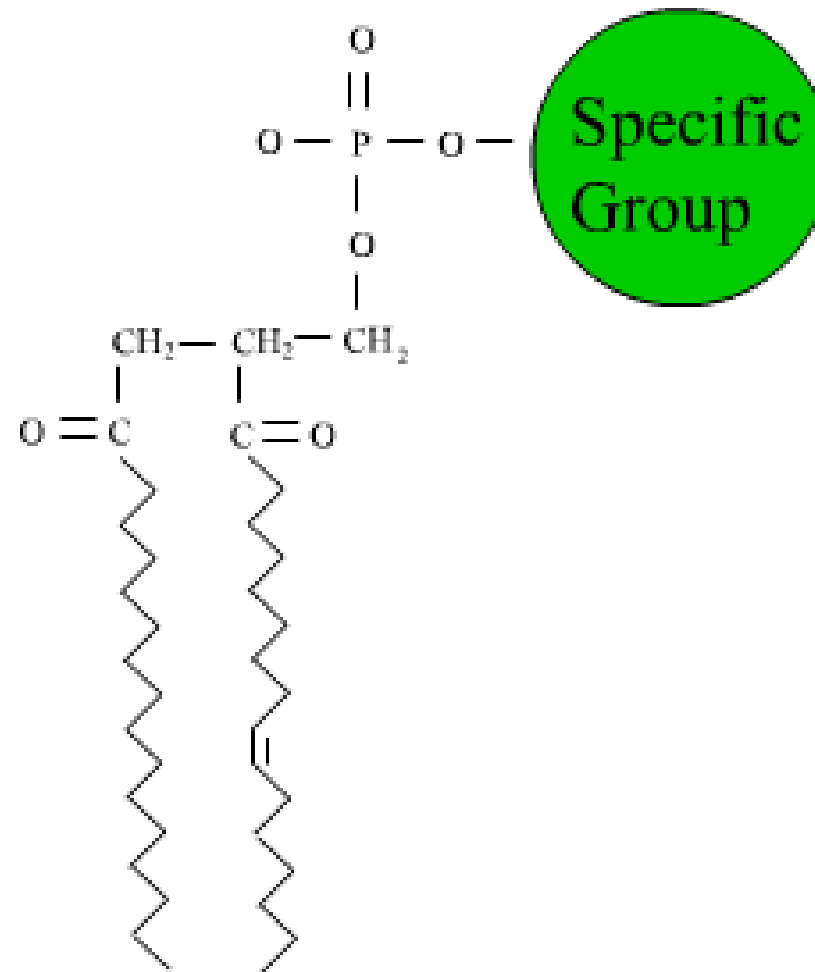


2-(4-n-pentyloxyphenyl)-5-(4-n-pentylphenyl)-pyrimidine



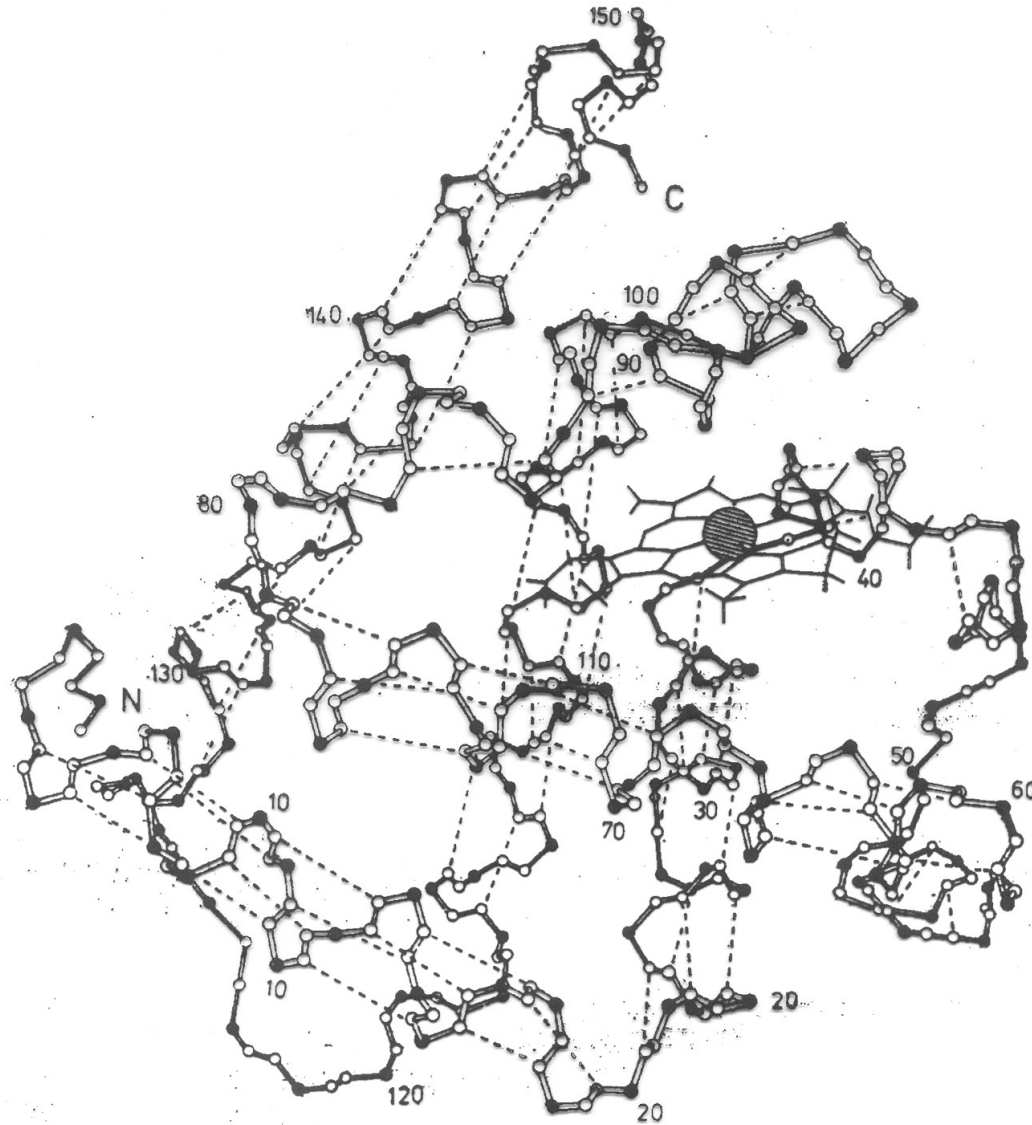


# Phospholipid molecules





# MYOGLOBIN





# DNA

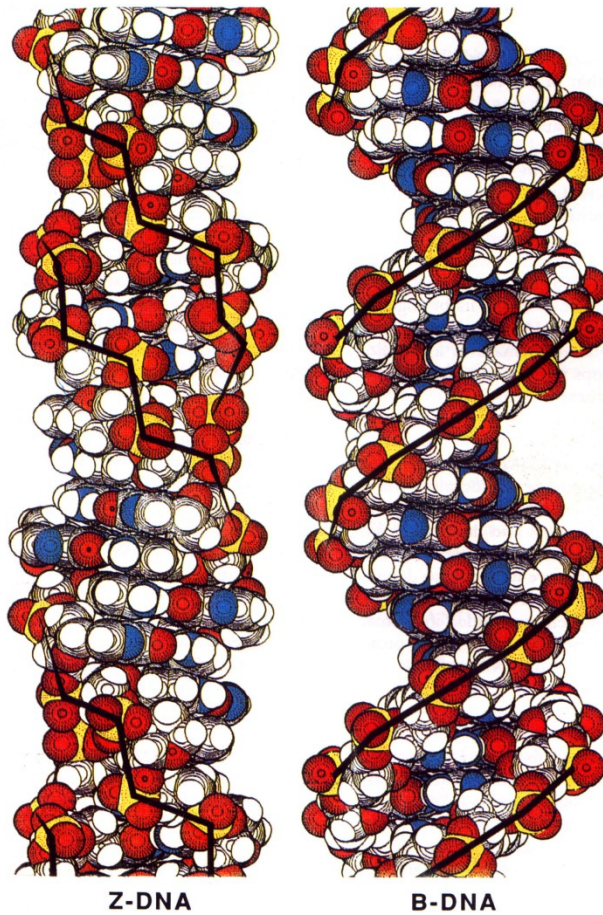
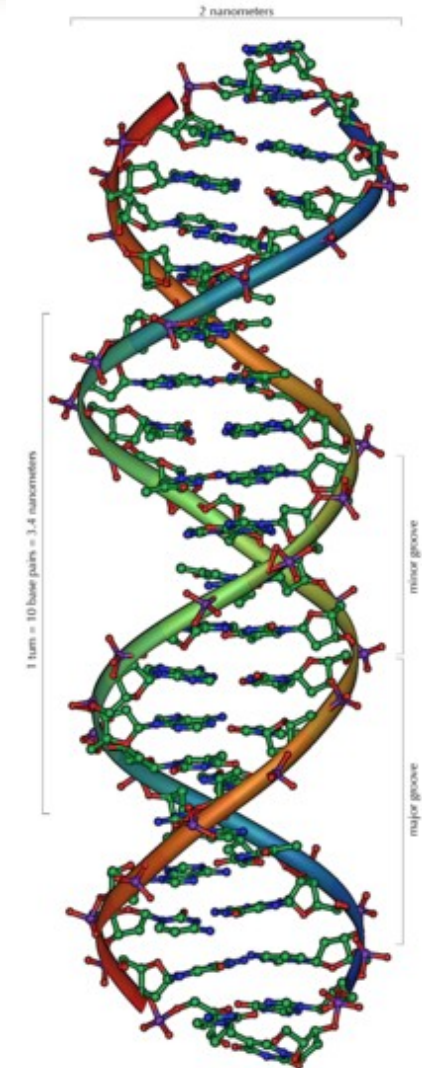
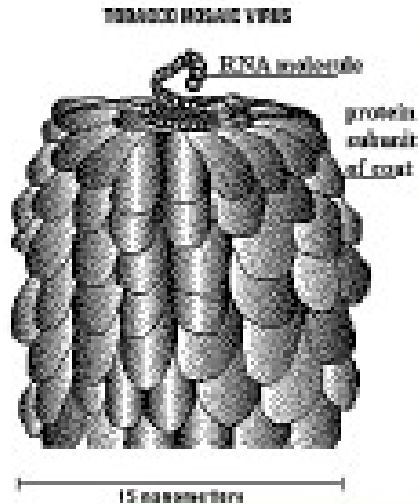


FIGURE 18. Van der Waals diagrams of Z-DNA (left) and B-DNA (right).<sup>73</sup> The solid black line goes from phosphate group to phosphate group along the chain. The zig-zag form of the Z-DNA backbone is evident. Z-DNA has a slightly smaller diameter than B-DNA and it no longer has the wide major groove that is seen in B-DNA. Phosphorus is yellow; oxygen, red; nitrogen, blue; hydrogen, white; and carbon is shown by concentric circles.

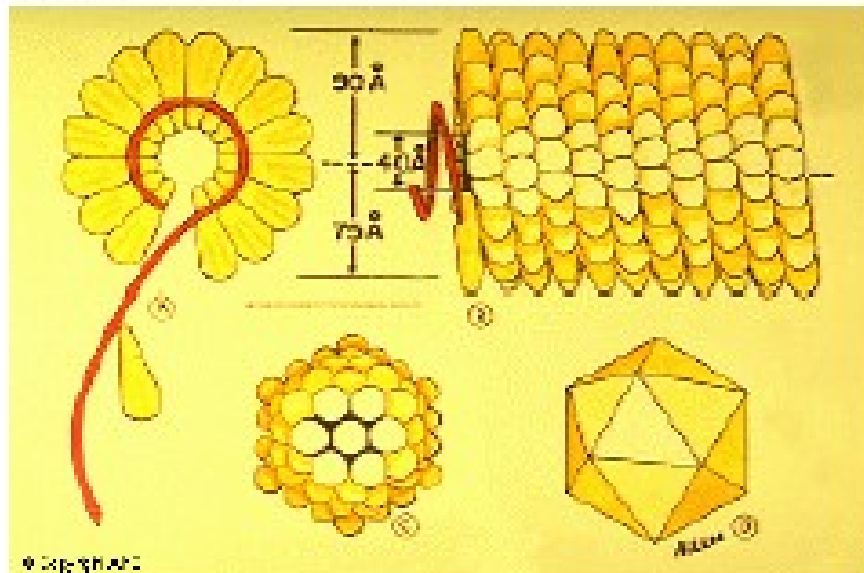


# LEGOs of liquid crystals



Rodlike molecules in solvent

Typically lyotropic



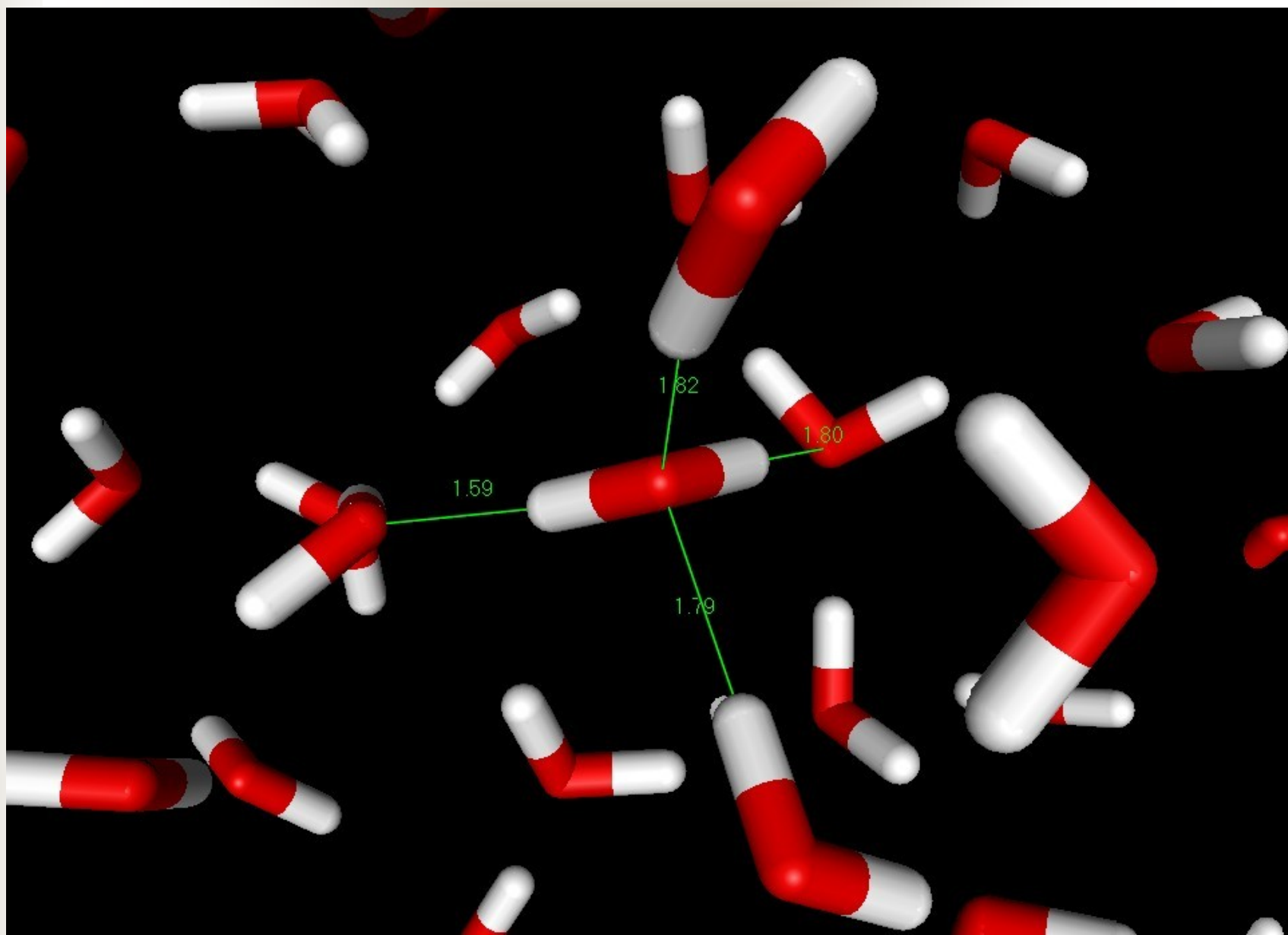


# THE HYDROPHOBIC EFFECT

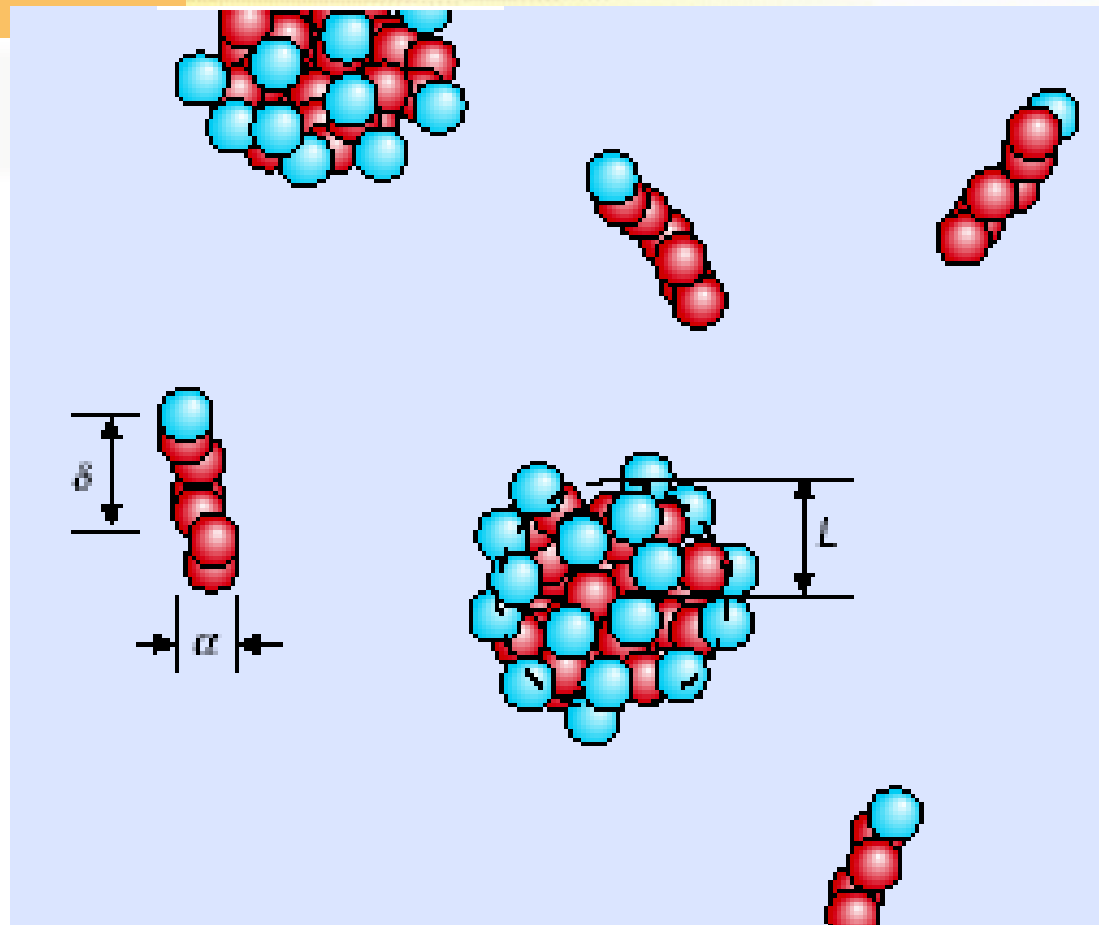
Charles Tanford  
(1973)



# Hydrogen bonding - liquid water simulation



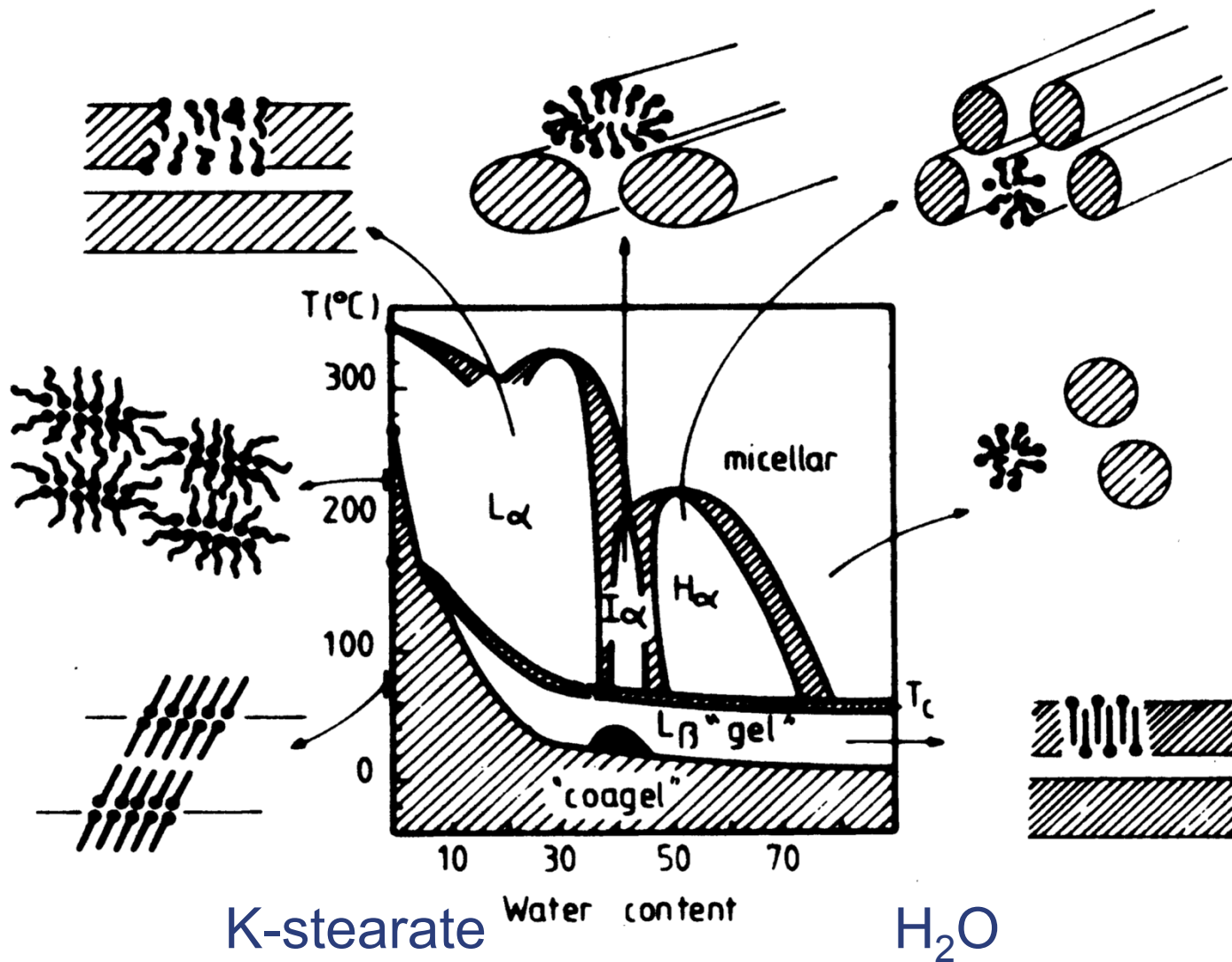




**Figure 5 | Length scales of amphiphiles in dynamic equilibrium with micelles. The blue and red spheres depict the hydrophilic heads and the hydrophobic tails, respectively, of the amphiphiles. The typical length over which hydrophobic and hydrophilic components are separated within a single molecule is given by  $\delta$ . Assuming a roughly spherical structure and tightly packed oily components in the centre, the micelle radius is  $L \approx (\alpha^2 \delta)^{1/3} n^{1/3}$ , where  $n$  is the number of surfactants in the micelle.**

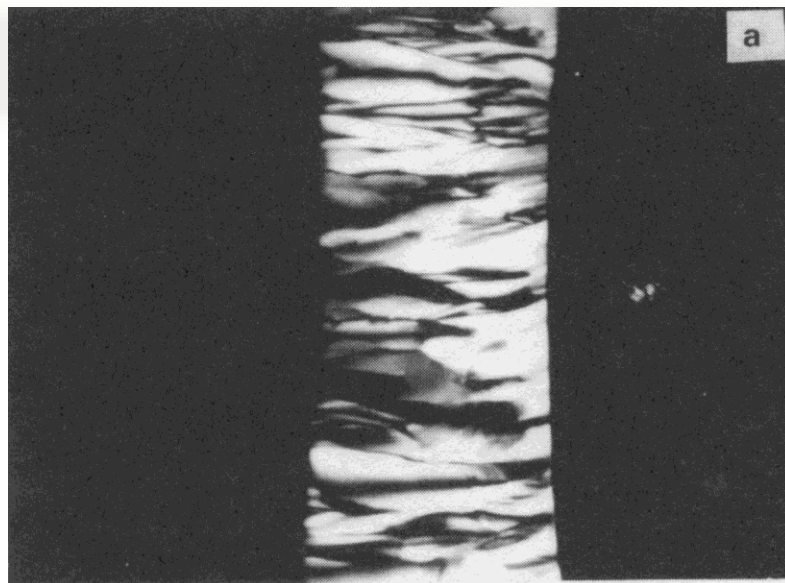


## LYOTROPIC LC PHASES





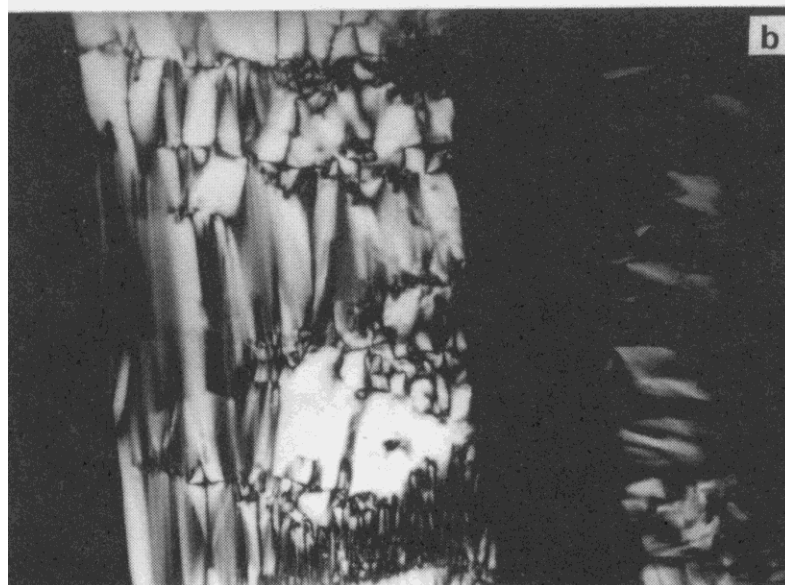
TRITON X-100



H<sub>2</sub>O

Contact preparation

NP10EO



H<sub>2</sub>O



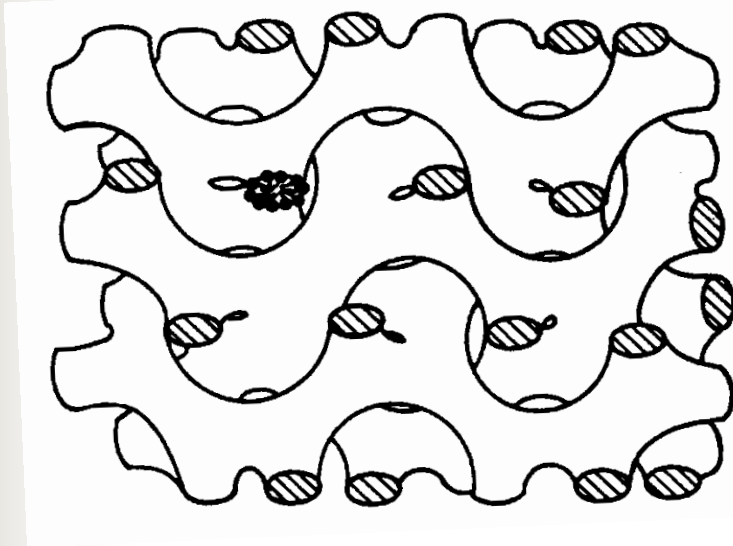
## Lyotropic liquid crystal. Temperature wedge



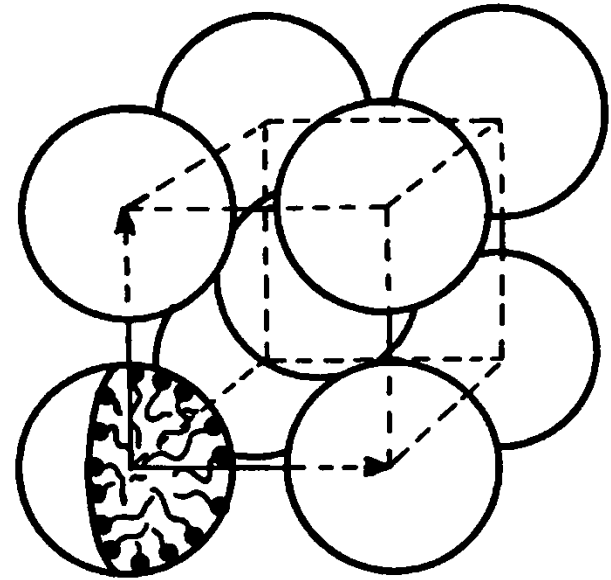
Hexagonal – Isotropic phase transition



## CUBIC LYOTROPIC PHASES



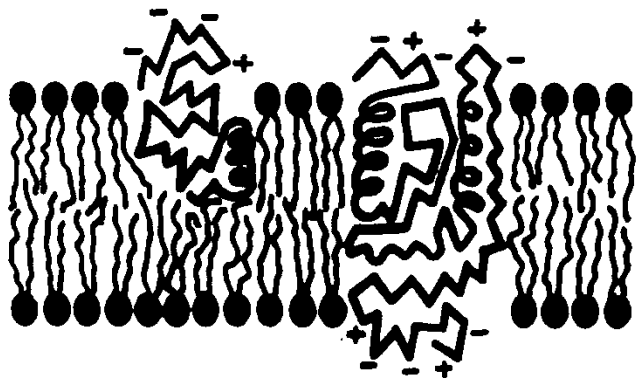
BICONTINUAL CUBIC



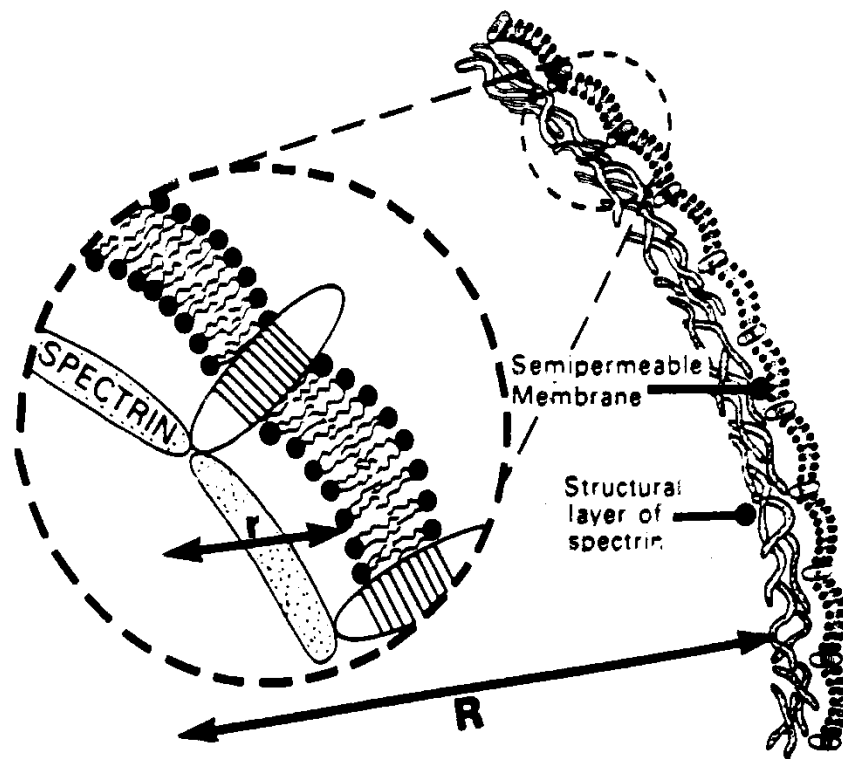
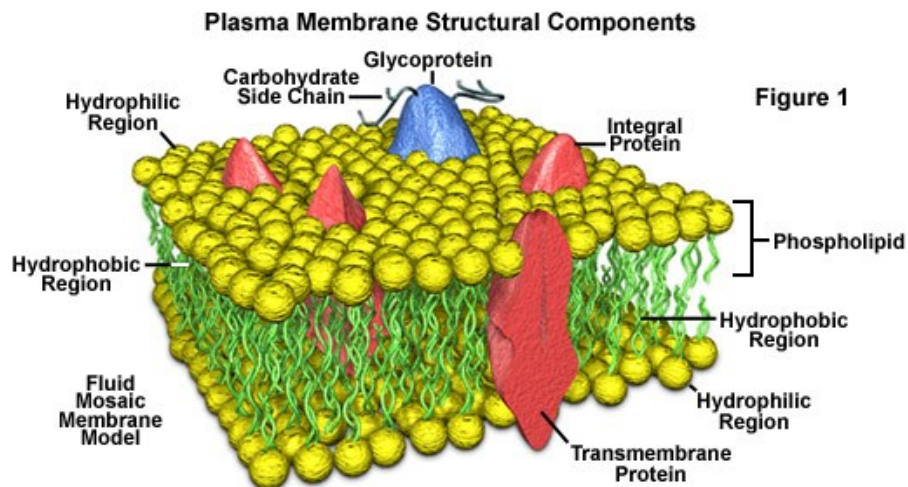
MICELLAR CUBIC



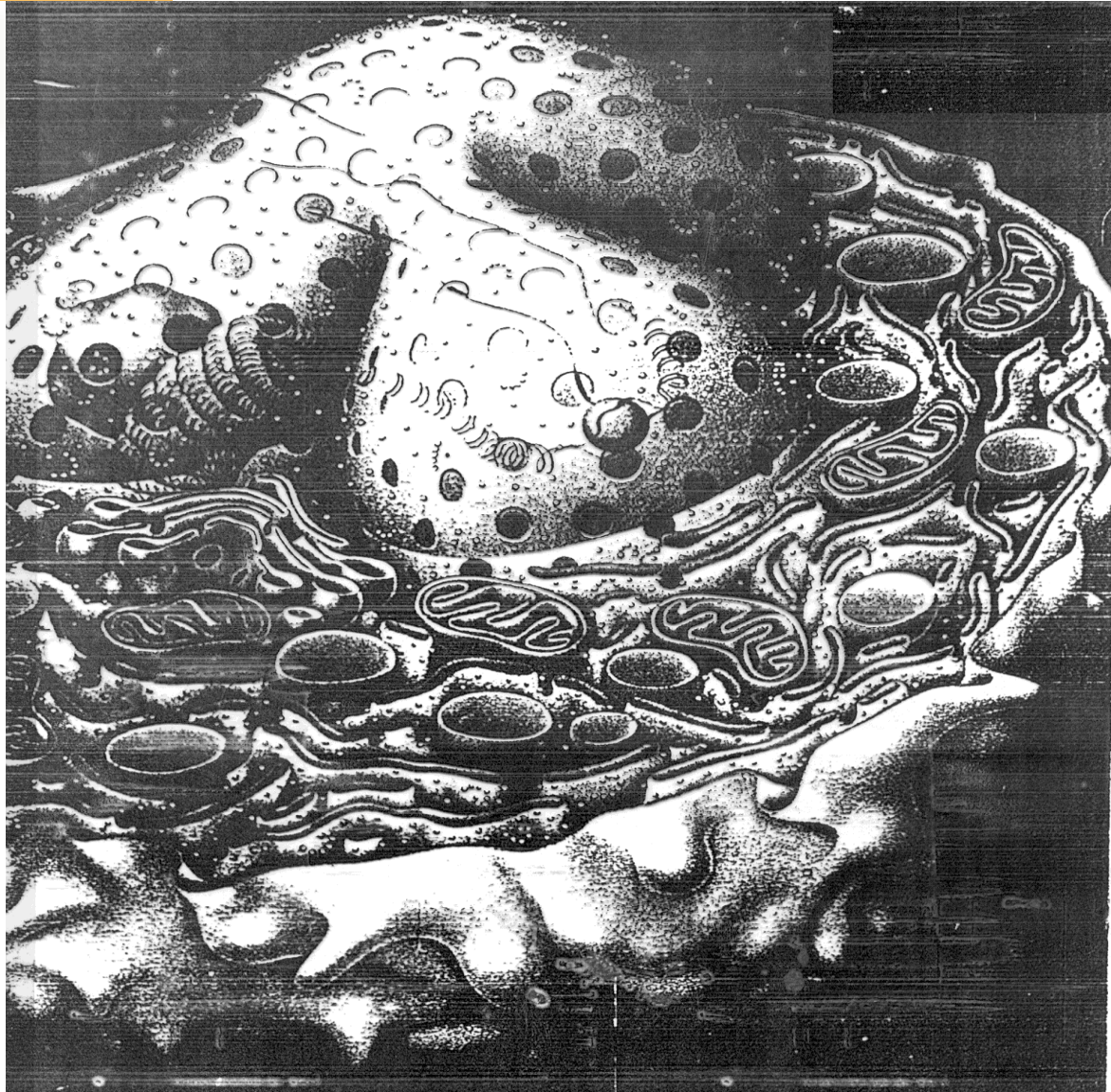
# SOFT LIVING MATTER



## Singer and Nicolson (1972): Fluid Lipid Globular Protein Mosaic Model of Membranes



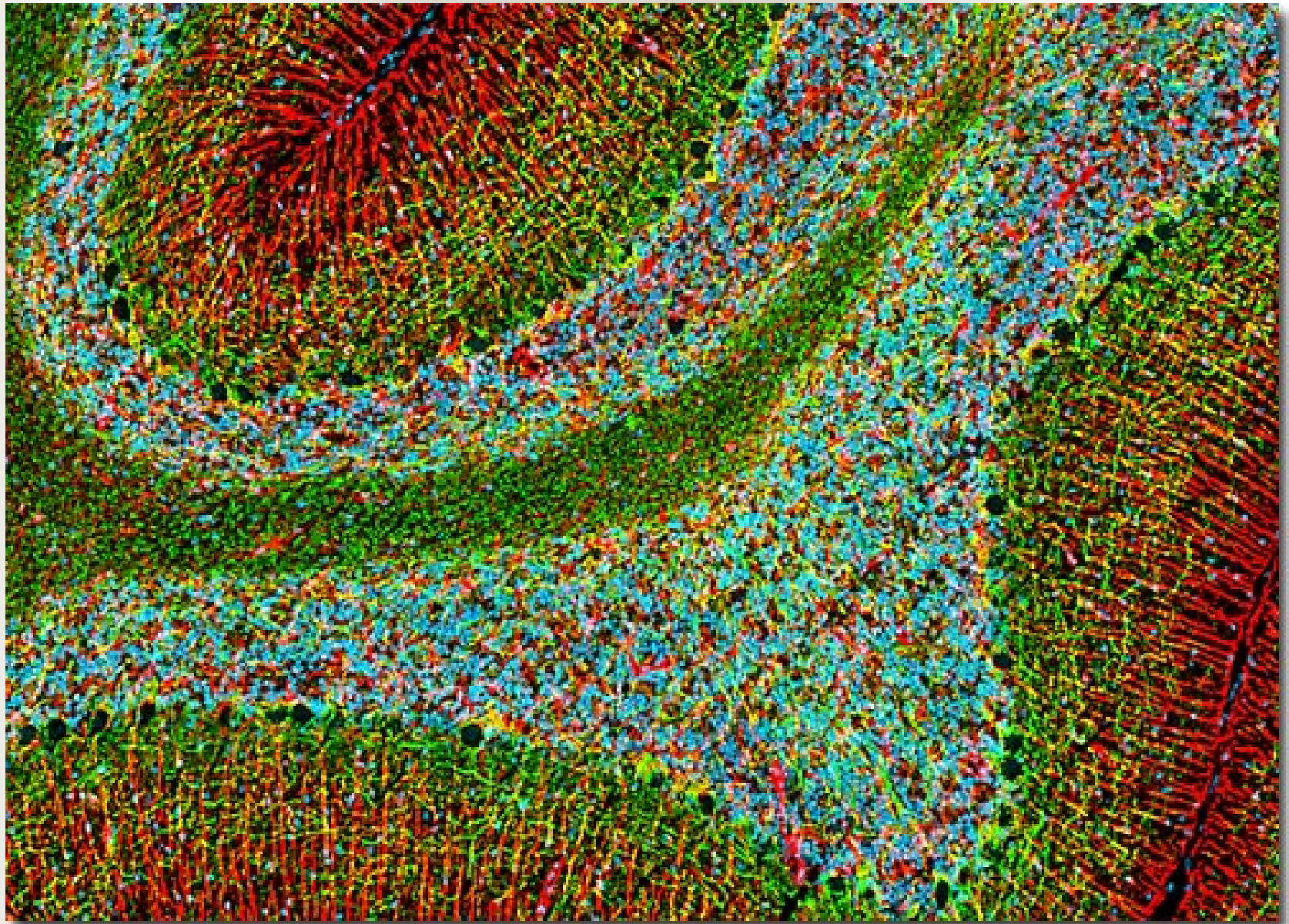
## Membrane and cytoskeleton



Soft membrane structures in a living cell



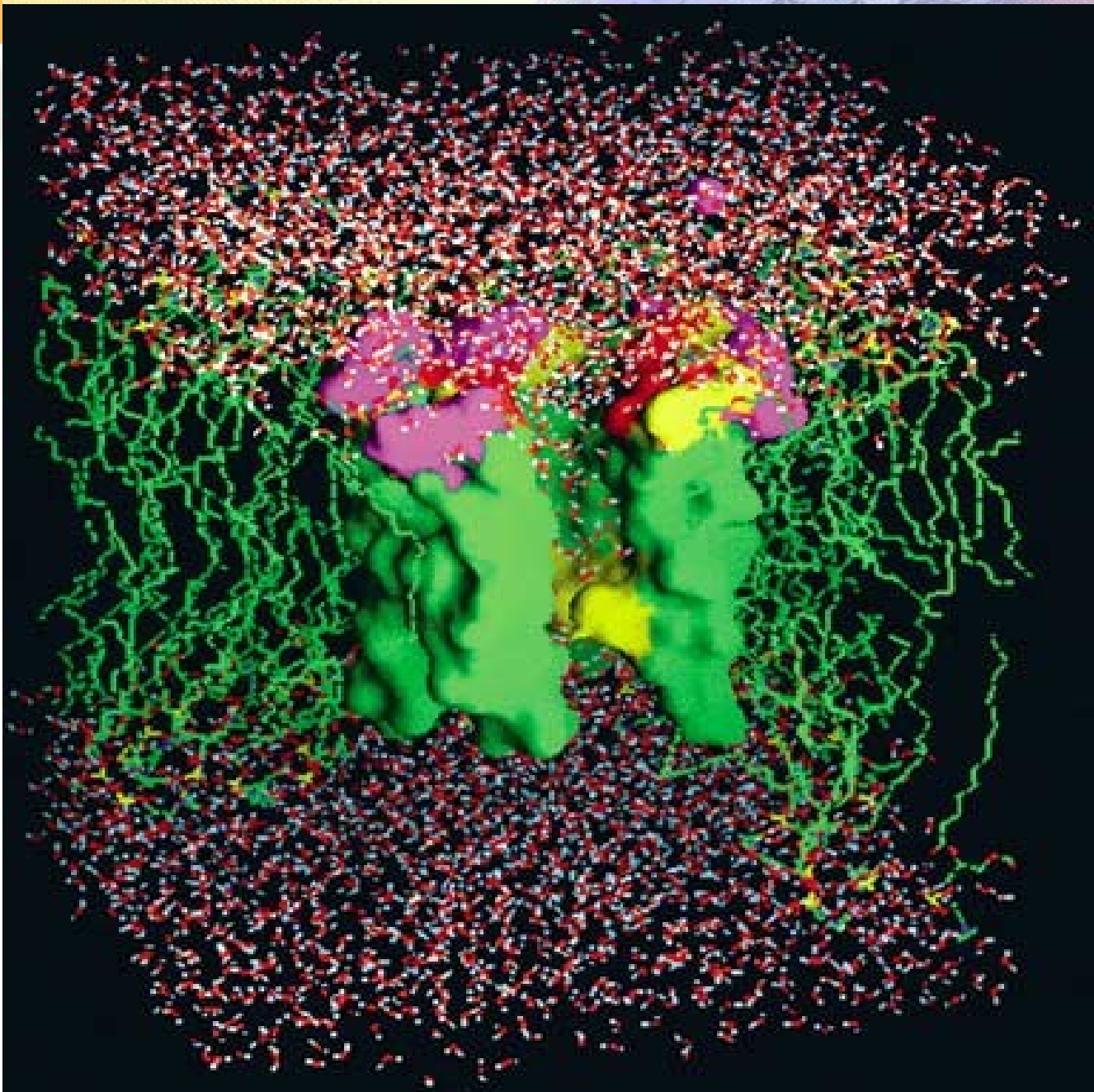
## RAT CEREBELLUM

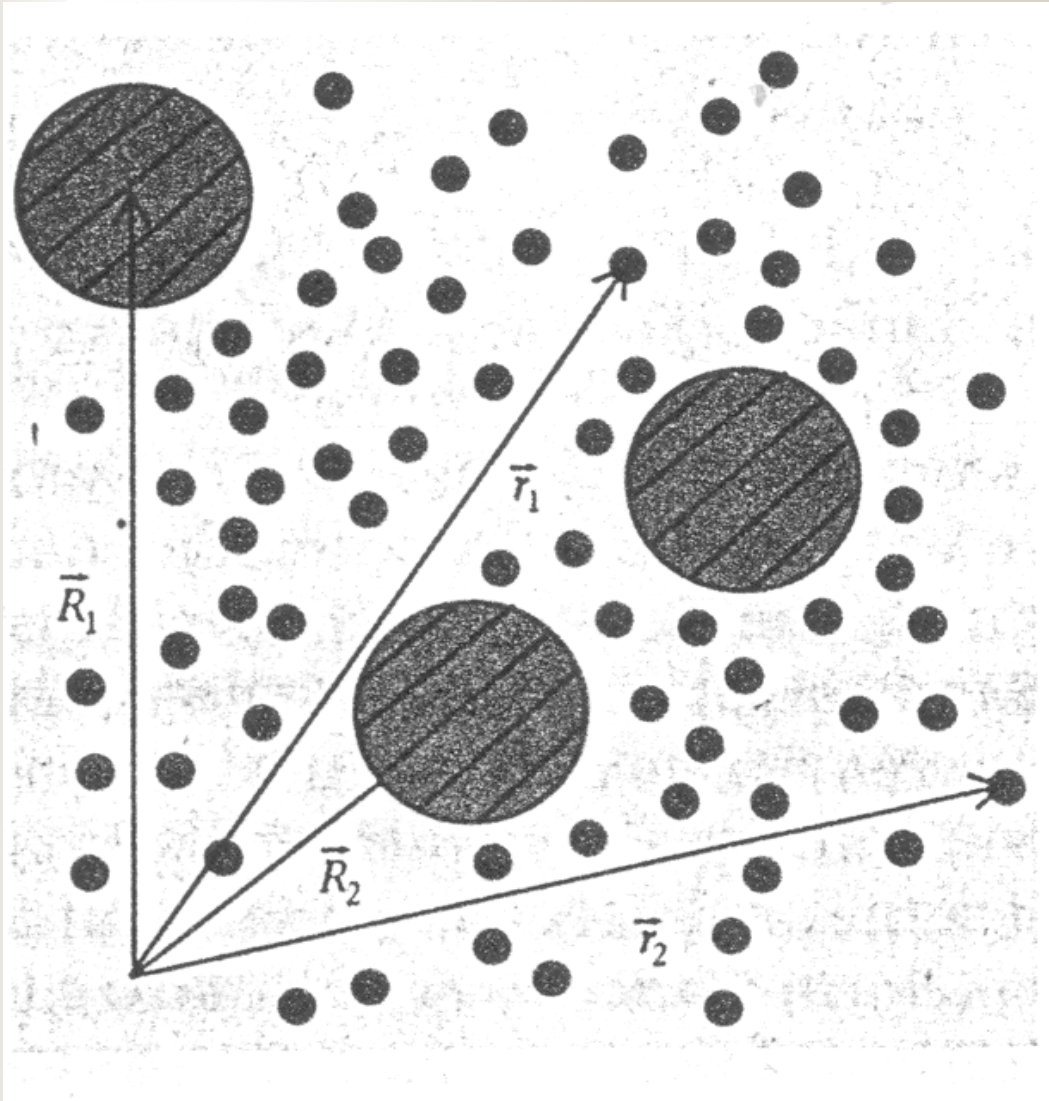






Alamethicin  
ion channel  
in a lipid  
bilayer  
membrane  
(computer  
simulation)





Theoretical  
description  
of soft  
matter:

Integrating  
out of  
external  
degrees of  
freedom

Coarse-  
graining



# Integrating out external degrees of freedom (“coarse graining”)

H. Loewen, Physik Journal 2 (2003) 51

## Das Konzept der effektiven Wechselwirkung

Man betrachte eine zweikomponentige Mischung aus  $N_1$  großen und  $N_2$  kleinen klassischen Teilchen im Volumen  $V$  bei vorgegebener Temperatur  $T$ .

Wenn  $\{\vec{R}_i\}, (i = 1, \dots, N_1)$  bzw.  $\{\vec{r}_j\}, (j = 1, \dots, N_2)$  die Orte der großen bzw. kleinen Teilchen bezeichnet (siehe Abbildung), dann sei die potentielle Gesamtenergie des Systems gegeben durch

$$U(\{\vec{R}_i\}, \{\vec{r}_j\}) = U_{11}(\{\vec{R}_i\}) + U_{12}(\{\vec{R}_i\}, \{\vec{r}_j\}) + U_{22}(\{\vec{r}_j\}). \quad (1)$$

Aufgabe der Gleichgewichtsstatistik ist es, einen Konfigurationsmittelwert zu berechnen. Mit  $\beta = 1/k_B T$  erhält man somit für die Helmholtzsche freie Energie  $F$

$$\exp(-\beta F) = \text{Sp}_1 \text{Sp}_2 \exp(-\beta U), \quad (2)$$

mit folgenden Abkürzungen für die klassische Spur

$$\text{Sp}_1 = 1/N_1! \int d^3 R_1 \dots \int d^3 R_{N_1} \text{ und}$$

$$\text{Sp}_2 = 1/N_2! \int d^3 r_1 \dots \int d^3 r_{N_2}$$

Einsetzen von (1) in (2) ergibt

$$\begin{aligned} \exp(-\beta F) &= \text{Sp}_1 [\exp(-\beta U_{11}) \\ &\quad \text{Sp}_2 \exp(-\beta(U_{12} + U_{22}))] \\ &=: \text{Sp}_1 \exp(-\beta V_{11}(\{\vec{R}_i\})) \end{aligned}$$

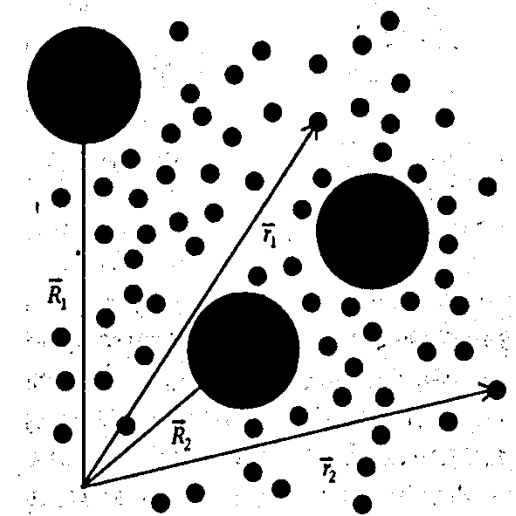
Deswegen gelingt eine *exakte* Abbildung von zweikomponenten Systemen auf ein effektiv einkomponentiges System, welches durch die *effektive Wechselwirkung*

$$V_{11}(\{\vec{R}_i\}) = U_{11}(\{\vec{R}_i\}) - k_B T \ln [\text{Sp}_2 \exp(-\beta(U_{12} + U_{22}))]$$

beschrieben wird. Die Freiheitsgrade der kleinen Teilchen wurden „herausintegriert“. Die Näherung besteht typischerweise darin,  $V_{11}(\{\vec{R}_i\})$  als Summe von *Paar-Wechselwirkungen* anzunehmen:

$$V_{11}(\{\vec{R}_i\}) \cong \sum_{i < j} V_{\text{eff}}(\vec{R}_i, \vec{R}_j)$$

Freiheitsgrade, die sich zum Herausintegrieren bei einem System der weichen Materie eignen, können vielfältig sein: Lösungsmittelmoleküle, Ionen, Monomere, auch ganze Polymerknäuel oder kleine Kolloidteilchen in binären Dispersionen. Somit ist das Konzept der effektiven Wechselwirkung sehr weitreichend.



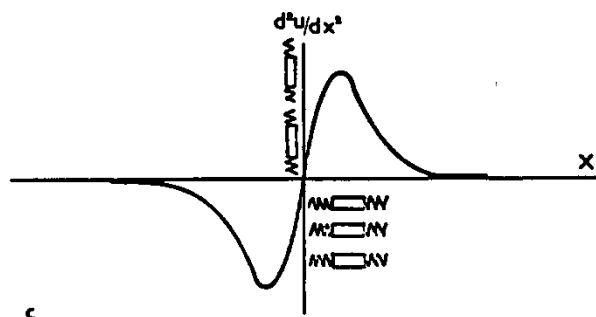
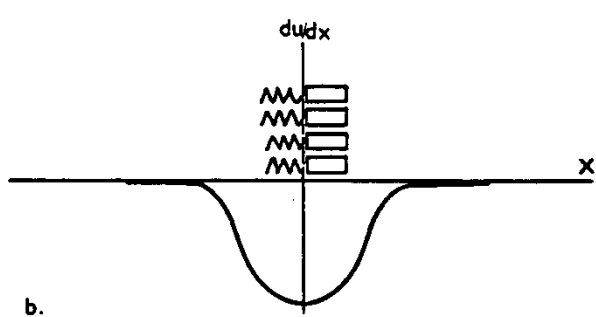
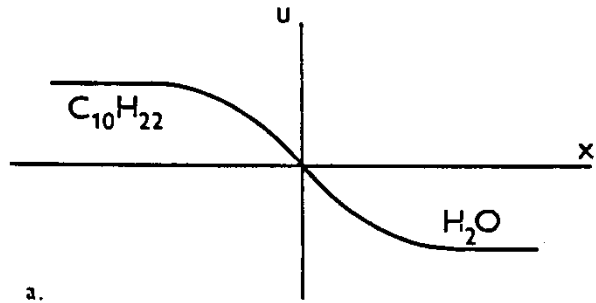


|            | ELECTRIC | STERIC | BIPHILIC | FLEXIBLE | ELECTRIC | STERIC | BIPHILIC | FLEXIBLE |
|------------|----------|--------|----------|----------|----------|--------|----------|----------|
| monopole   |          |        |          |          |          |        |          |          |
| dipole     |          |        |          |          |          |        |          |          |
| quadrupole |          |        |          |          |          |        |          |          |

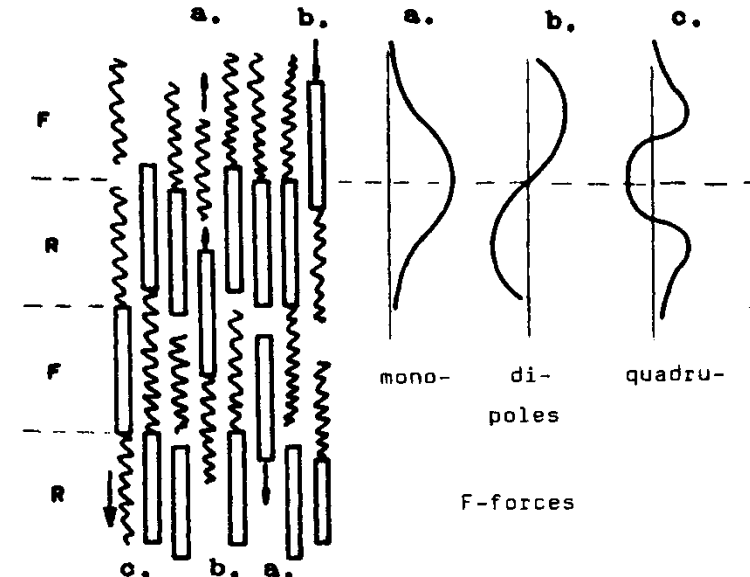
Generalized molecular asymmetry model (GMA model)



# GENERALIZED FIELDS



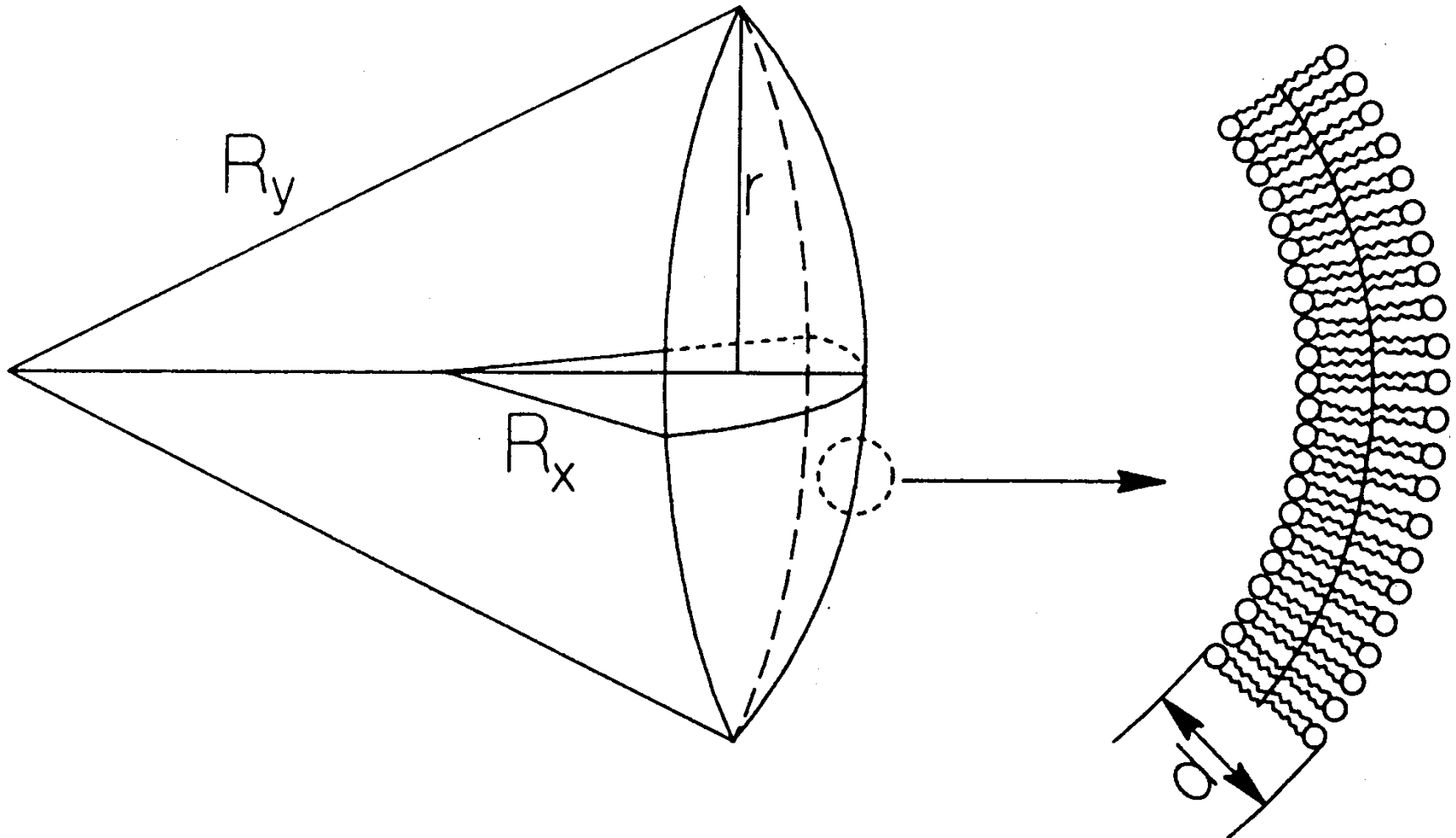
Biphilic field



Flexibility field



# FLEXOELECTRICITY





## PHENOMENOLOGY (Petrov, 1975) :

$$\underline{P_S} = f \left( \frac{1}{R_1} + \frac{1}{R_2} \right)$$

cf. R.B.Meyer (1969)

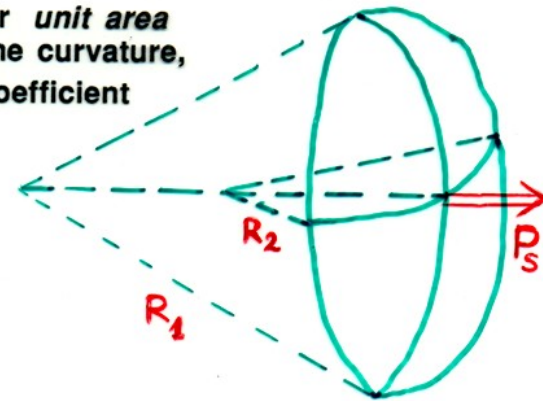
$P_S$  is membrane polarization per *unit area*  
 $R_1, R_2$  are the radii of membrane curvature,  
 $f$  is membrane flexoelectric coefficient

Dimensions:

$$\begin{aligned} [P_S] &= \text{C} \cdot \text{m}^{-1} \\ [f] &= \text{C} \end{aligned}$$

$$f \text{ ca. } 1 \cdot 10^{-18} \text{ C}$$

$$f \approx e \cdot d \quad f = e \cdot d$$



For spherical curvature of radius  $R$  the transmembrane flexoelectric voltage is :

$$\Delta U = P_S / \epsilon_0 = (f / \epsilon_0) (2/R)$$

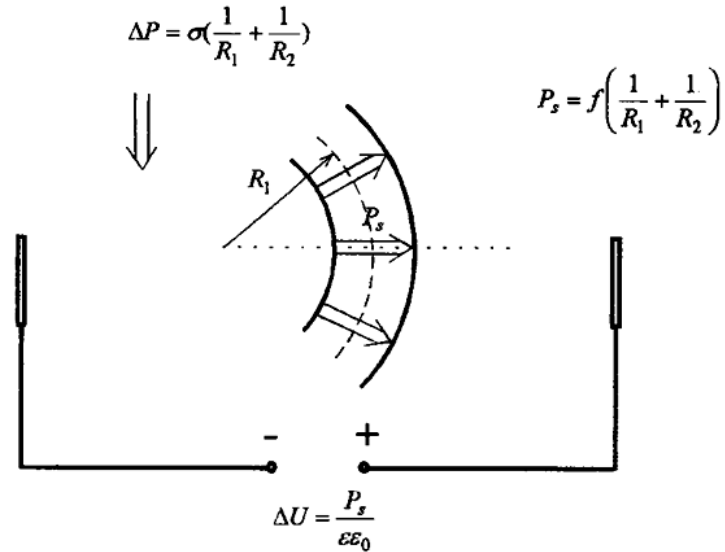
*Helmholtz eqn.*

$$\Delta U \text{ ca. } 200 \text{ } \mu\text{V} \text{ for } R = 1 \text{ mm}$$

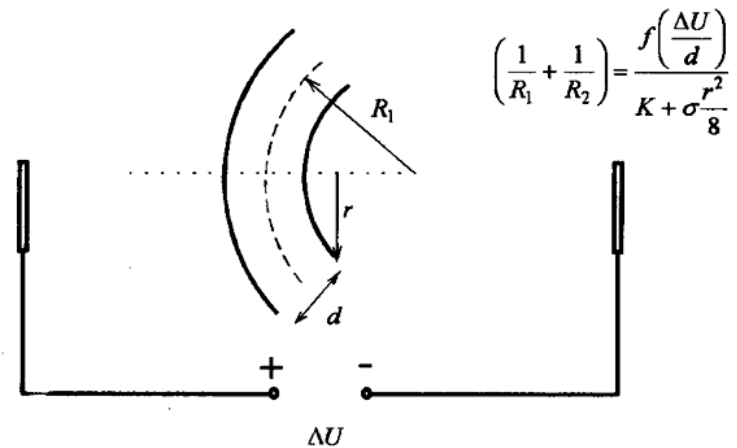
$$\Delta U \text{ ca. } 20 \text{ mV} \text{ for } R = 10 \text{ } \mu\text{m}$$



## DIRECT FLEXOEFFECT



## CONVERSE FLEXOEFFECT































# The Lyotropic State of Matter

Molecular Physics  
and  
Living Matter Physics

*Alexander G. Petrov*

|            | ELECTRIC   | STERIC   | BIPHILIC   | FLEXIBLE  | ELECTRIC   | STERIC   | BIPHILIC   | FLEXIBLE   |
|------------|--|--|--|---|--|--|--|--|
| monopole   | <br>$D_{\infty h}$ $C_{\infty v}$ |                               | <br>$D_{\infty h}$ $C_{\infty v}$ | <br>$D_{\infty h}$ $C_{\infty v}$ | <br>$C_{2v}$ $D_{\infty h}$   |                               | <br>$D_{\infty h}$ $C_{\infty v}$ | <br>$D_{\infty h}$ $C_{\infty v}$ |
| dipole     | <br>$C_{\infty v}$ $C_{2v}$      | <br>$C_{\infty v}$ $C_{2v}$  | <br>$C_{\infty v}$ $C_{2v}$      | <br>$C_{\infty v}$ $C_{2v}$      | <br>$C_{\infty v}$ $C_{2v}$  | <br>$C_{\infty v}$ $C_{2v}$  | <br>$C_{\infty v}$ $C_{2v}$      | <br>$C_{\infty v}$ $C_{2v}$      |
| quadrupole | <br>$D_{\infty h}$ $C_{2h}$     | <br>$D_{\infty h}$ $C_{2h}$ | <br>$D_{\infty h}$ $C_{2h}$     | <br>$D_{\infty h}$ $C_{2h}$     | <br>$D_{\infty h}$ $C_{2h}$ | <br>$D_{\infty h}$ $C_{2h}$ | <br>$D_{\infty h}$ $C_{2h}$     | <br>$D_{\infty h}$ $C_{2h}$     |

Gordon and Breach Science Publishers



# **Membrane Electromechanics in Biology, with a Focus on Hearing**

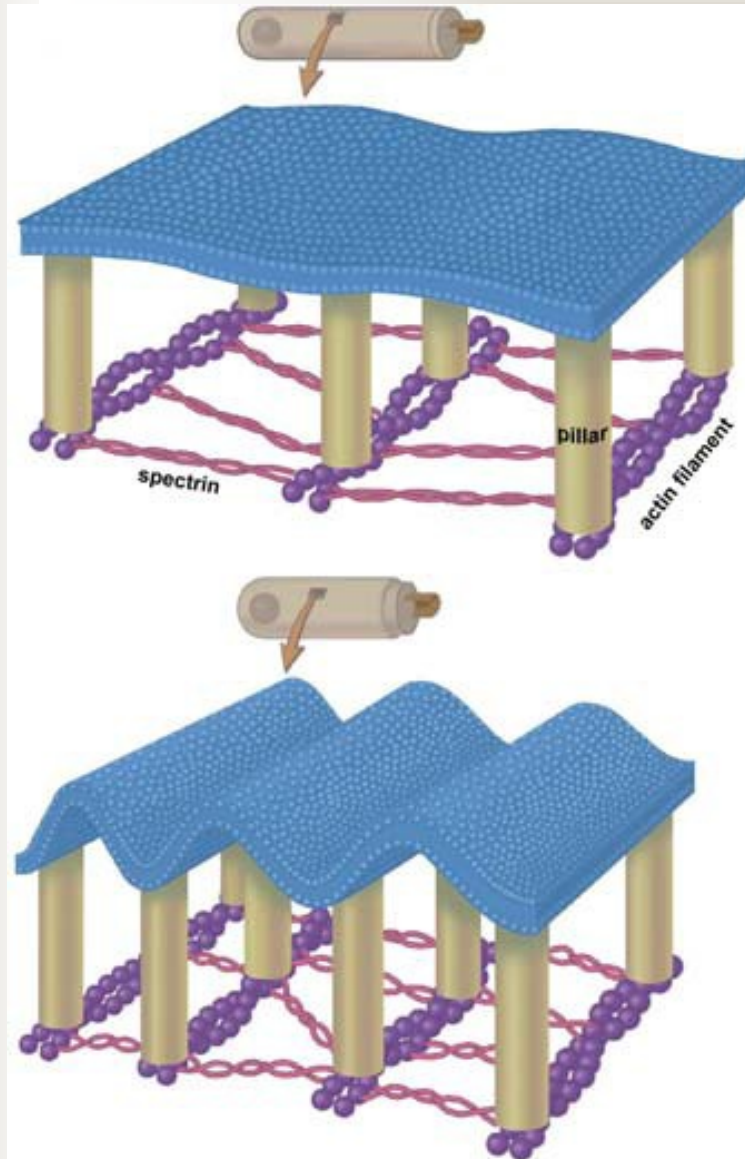
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## Abstract

Cells are ion conductive gels surrounded by a ~5-nm-thick insulating membrane, and molecular ionic pumps in the membrane establish an internal potential of approximately  $-90$  mV. This electrical energy store is used for high-speed communication in nerve and muscle and other cells. Nature also has used this electric field for high-speed motor activity, most notably in the ear, where transduction and detection can function as high as 120 kHz. In the ear, there are two sets of sensory cells: the “inner hair cells” that generate an electrical output to the nervous system and the more numerous “outer hair cells” that use electromotility to counteract viscosity and thus sharpen resonance to improve frequency resolution. Nature, in a remarkable exhibition of nanomechanics, has made out of soft, aqueous materials a microphone and high-speed decoder capable of functioning at 120 kHz, limited only by thermal noise. Both physics and biology are only now becoming aware of the flexoelectric material properties of biomembranes and their ability to perform work and sense the environment. We anticipate new examples of this bioflexoelectricity will be forthcoming.



Postulated nanoscale rippling of the outer hair cell (OHC) lateral wall plasma membrane. OHC is shown at low magnification when hyperpolarized (a) and depolarized (c). A portion of the lateral wall is shown at higher magnification in (b) and (d). These cartoons portray flexoelectric alterations in membrane curvature associated with electromotile length changes. The plasma membrane is attached to cortical lattice pillars (tan), which, in turn, are attached to actin filaments (purple). These are cross linked with the elastic spectrin (thin red) filaments.



■ Basic question of SM physics: *Why is living matter soft?*

■ Lesson from LC physics: *Because it is made of large molecules (aggregates) whose strong atom-atom interactions (charges, valent bonds) are saturated within a molecule.*

*Intermolecular interactions are thus weaker and non-specific (dipole-dipole, dipole-induced dipole, double layer forces, dispersion forces, entropic forces, hydrophobic interactions, fluctuation forces, etc. etc.)*

*Consequently, molecules are farther apart and only partially ordered.*

*Theoretical description by point generalized dipoles is thus rendered possible.*



**Auguste  
Rodin  
*The  
Thinker***

**1880  
Bronze**

