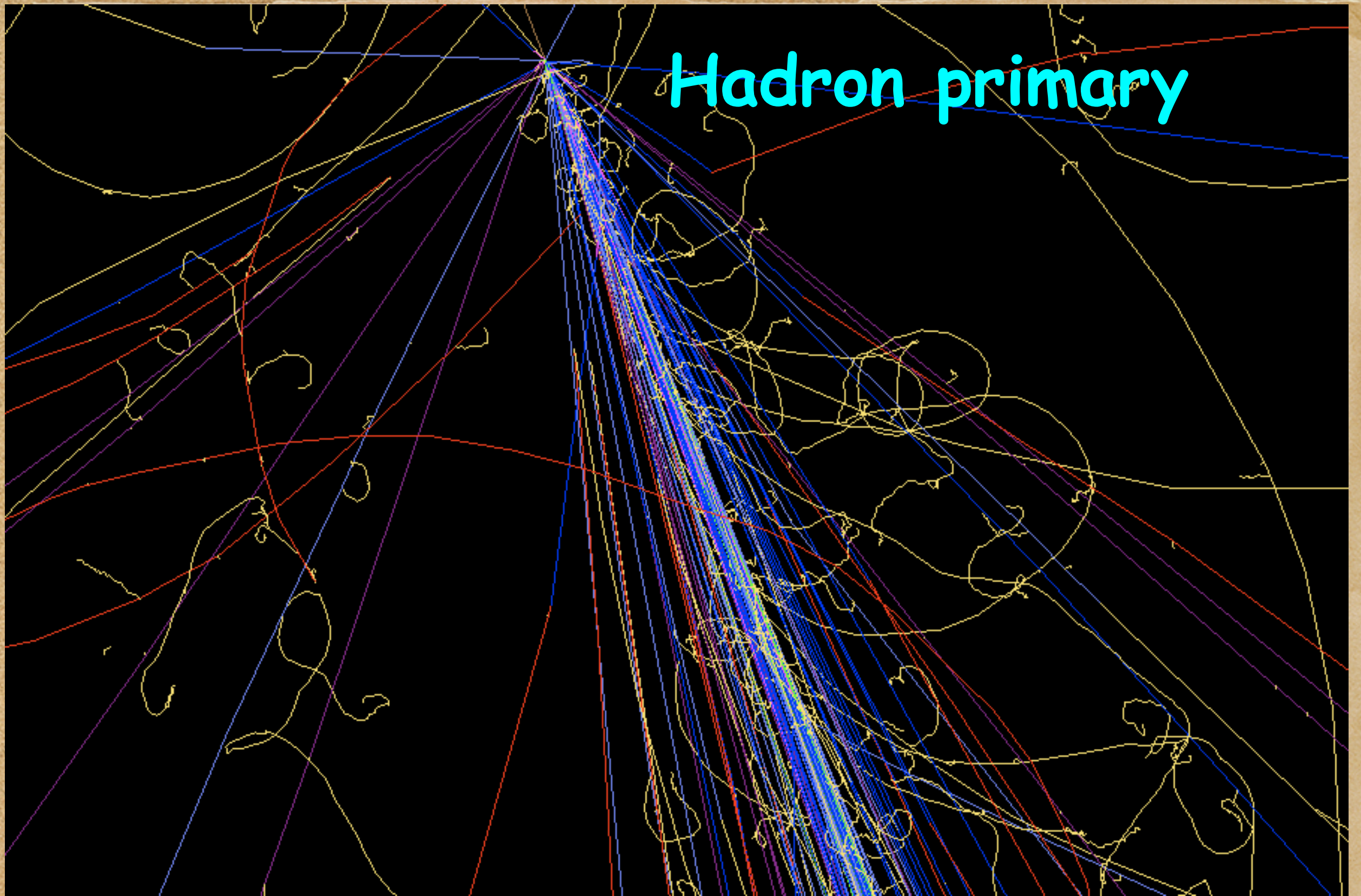


Hadron primary



Interaction models

Model	Energy(GeV)	Remarks
dpmjet3	<5<	charm. @UHE ?
qgsjetII-03	>80	
qgsjetII-04	>80	LHC-tuned
EPOS1.99	>80	
EPOS-LHC-3400	>80	LHC-tuned
EPOS-LHC-3700	>80	LHC-tuned, A>26 ok
Sibyll2.1	>80	only p, Air target
JAM	<RHIC	No heavy fragm. Pt seems small
PHITS	<2	JAEA code: neutron
Sofia	> m π	photo-hadron prod.
Fritiof1.6	<2000	
Nucrin	<5	
Gheisha	<100 ?	

★ Sibyll2.3c Sibill2.3d are now available

★ New JAM upto 10²⁰ CGC

How to specify the models:

IntModel = “phits” 2 “dpmjet3” 1e6 “epos” 1e8 “qgsjet”

Why we can estimate E_0 ?

Property of air: $X_0 \sim \lambda_n$

Cf. Pb, W: $\lambda_n/X_0 \sim 30$

BGO: 20

- Propagation

$$\sigma_{in} \quad f(x) = \frac{1}{\sigma_{in}} \frac{d\sigma}{dx} \quad x \equiv E_s / E_0$$

- Spectrum Observation **Inclusive:** $\mu, \gamma, e, p, \nu, n$

$$\int \delta(E_\pi - xE_0) f(x) dx E_0^{-\gamma} dE_0 \rightarrow x^{\gamma-1} f(x) dx$$

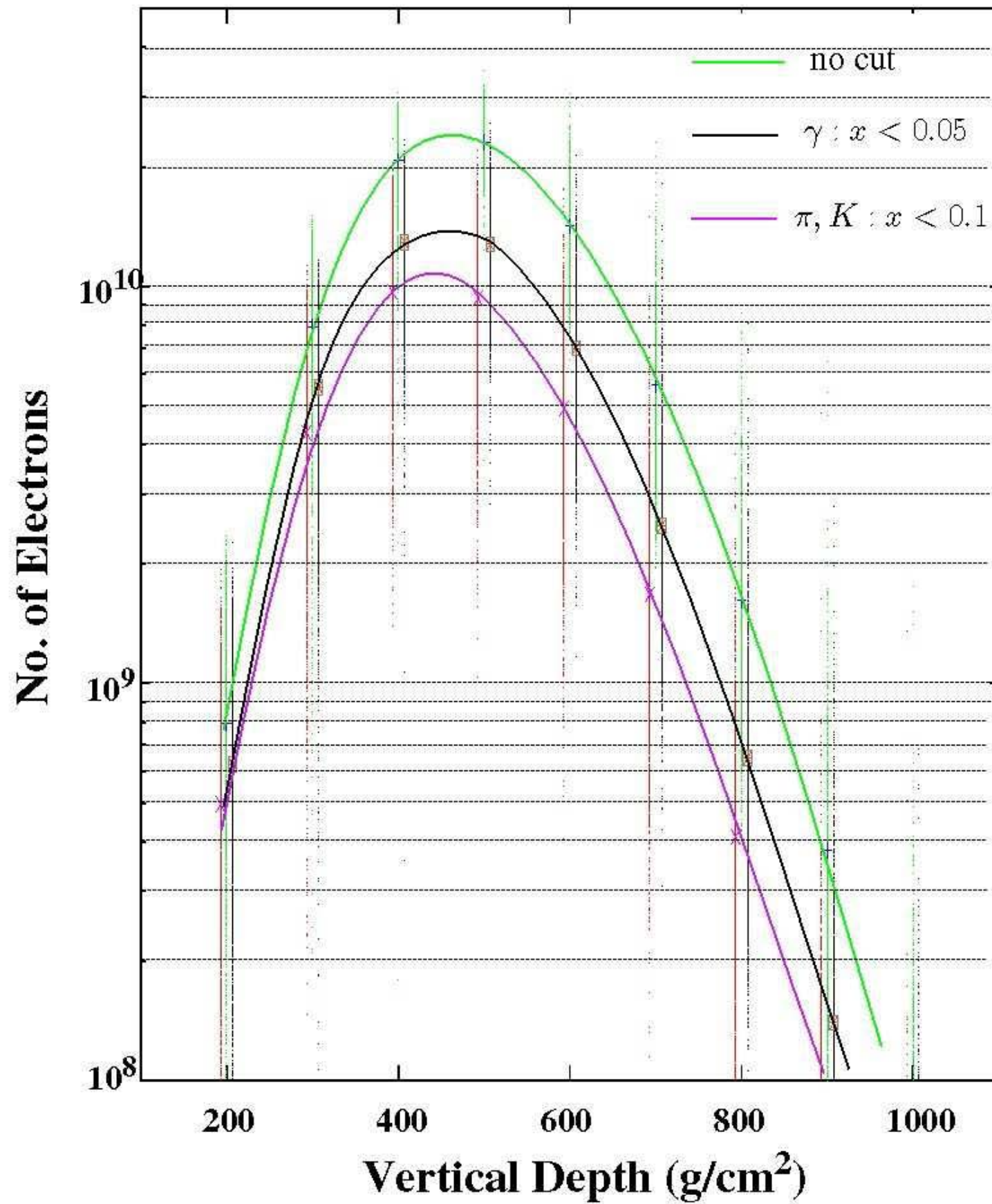
$$x_{eff} = \frac{\langle x^\gamma \rangle}{\langle x^{\gamma-1} \rangle} \sim 0.2$$

- AS Observation $\begin{matrix} \nearrow N_e \\ \searrow N_\mu \end{matrix}$ $\int_{0.05} x f(x) dx \sim 50\%$

- AS + Burst (or gamma ray family) (Tibet)

5×10^{19} eV proton initiated showers

Zenith angle 60 deg.



number of charged particles

10^9

Fe

p

$E_0 = 10^{19}$ eV
vertical

— DPMJET 2.5

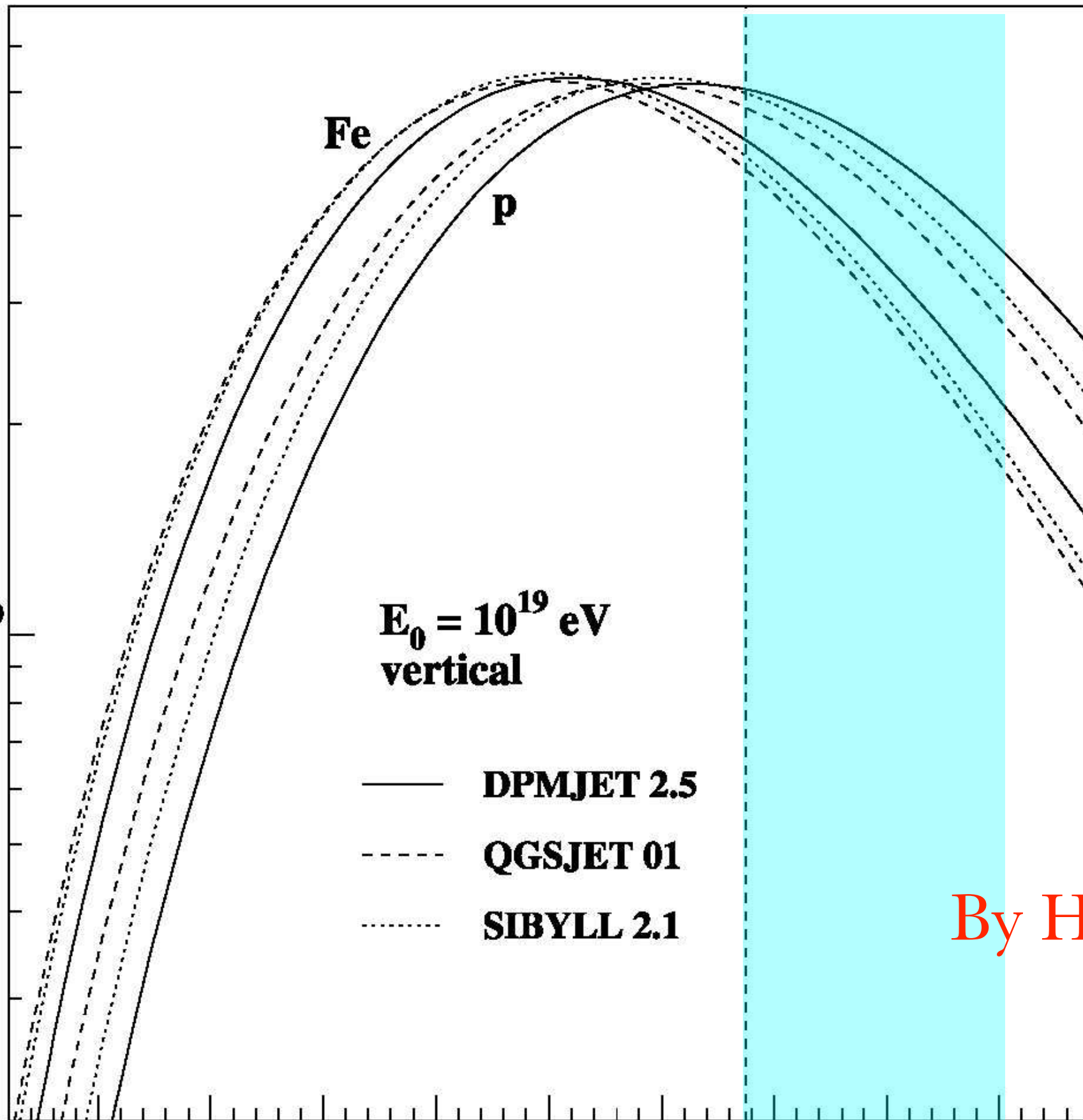
- - - QGSJET 01

⋯ SIBYLL 2.1

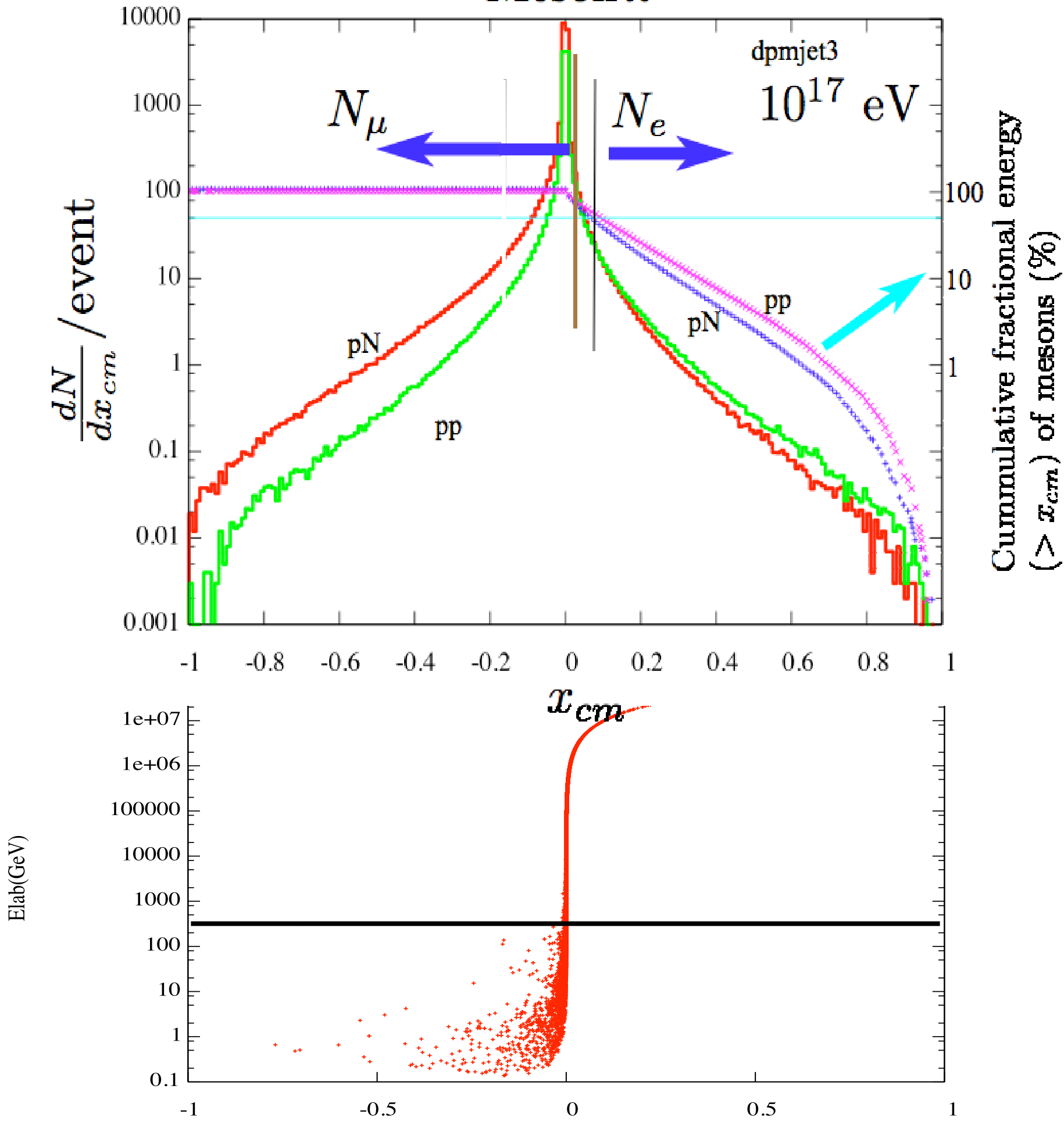
300 400 500 600 700 800 900 1000 1100

atmospheric depth (g/cm²)

By Heck et al



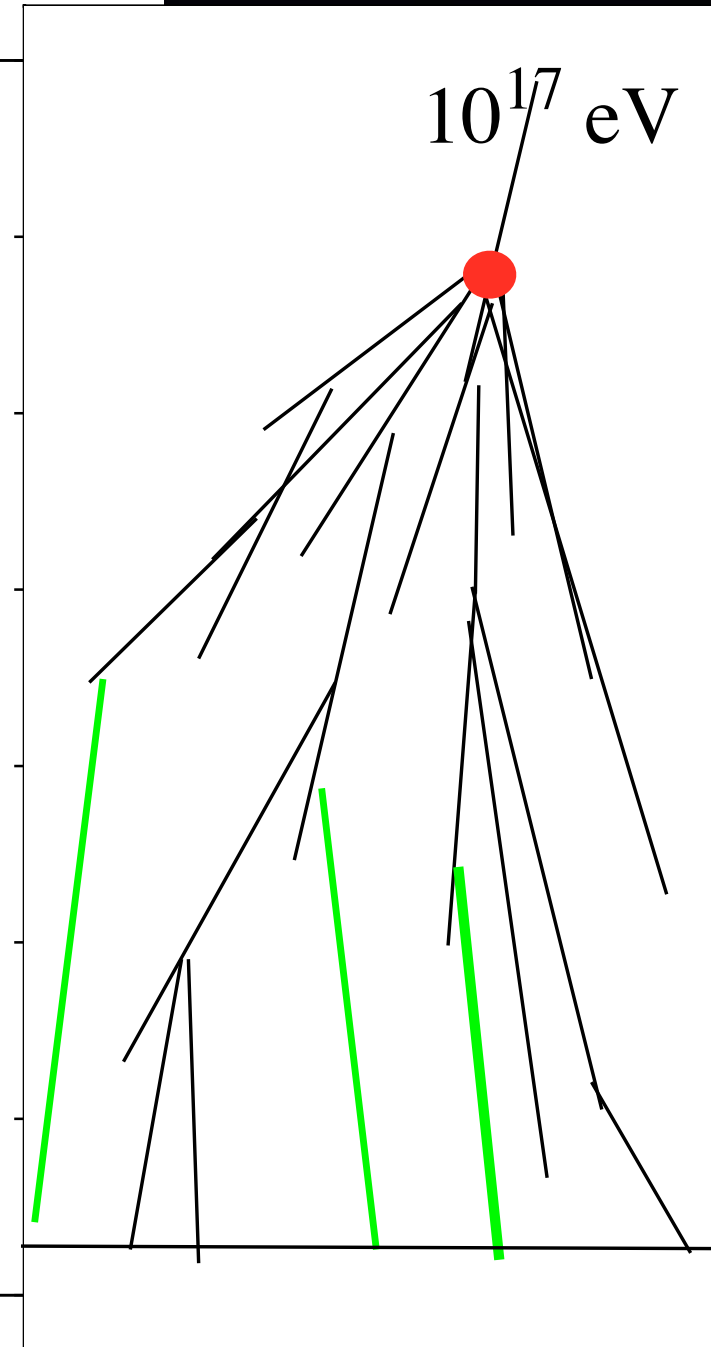
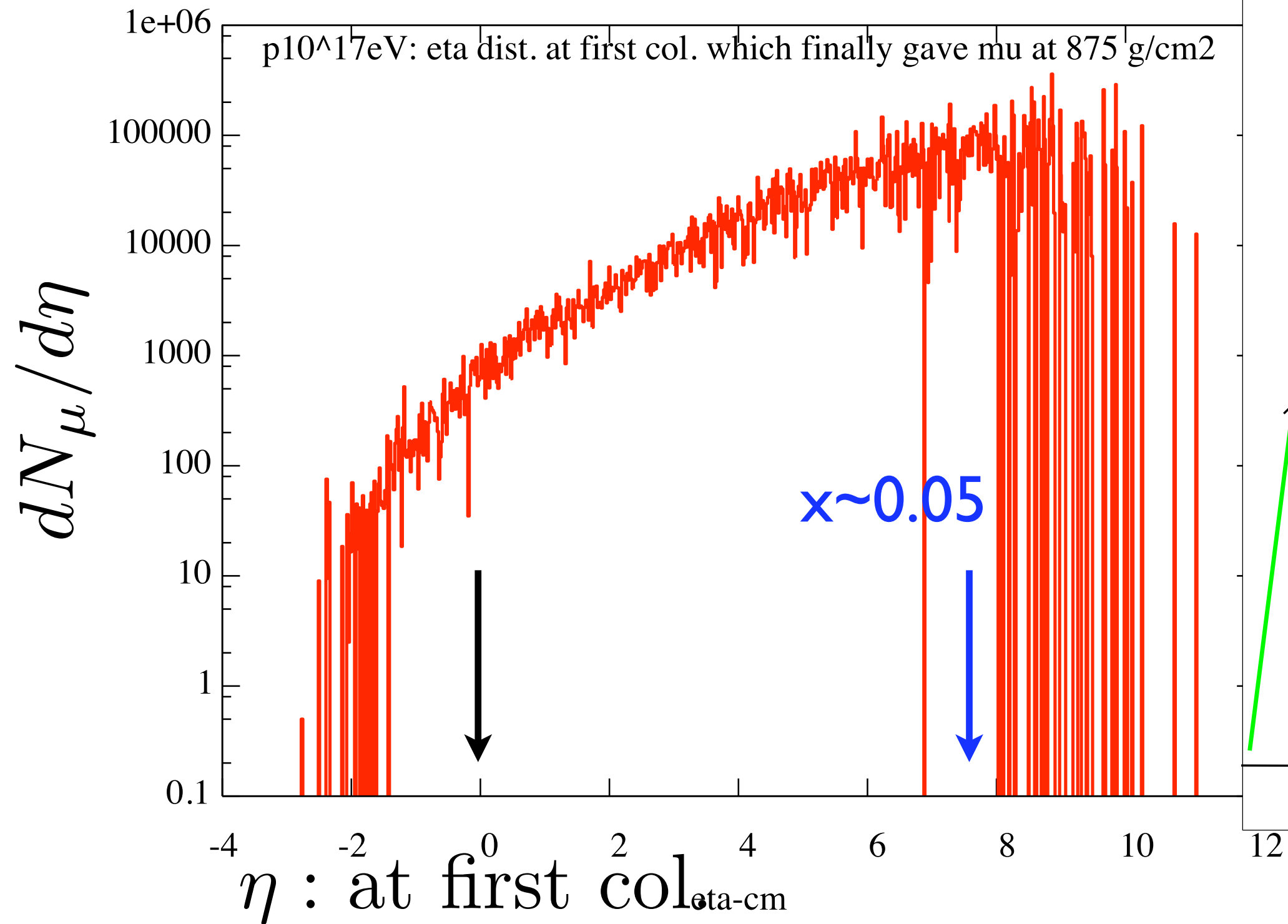
Meson x



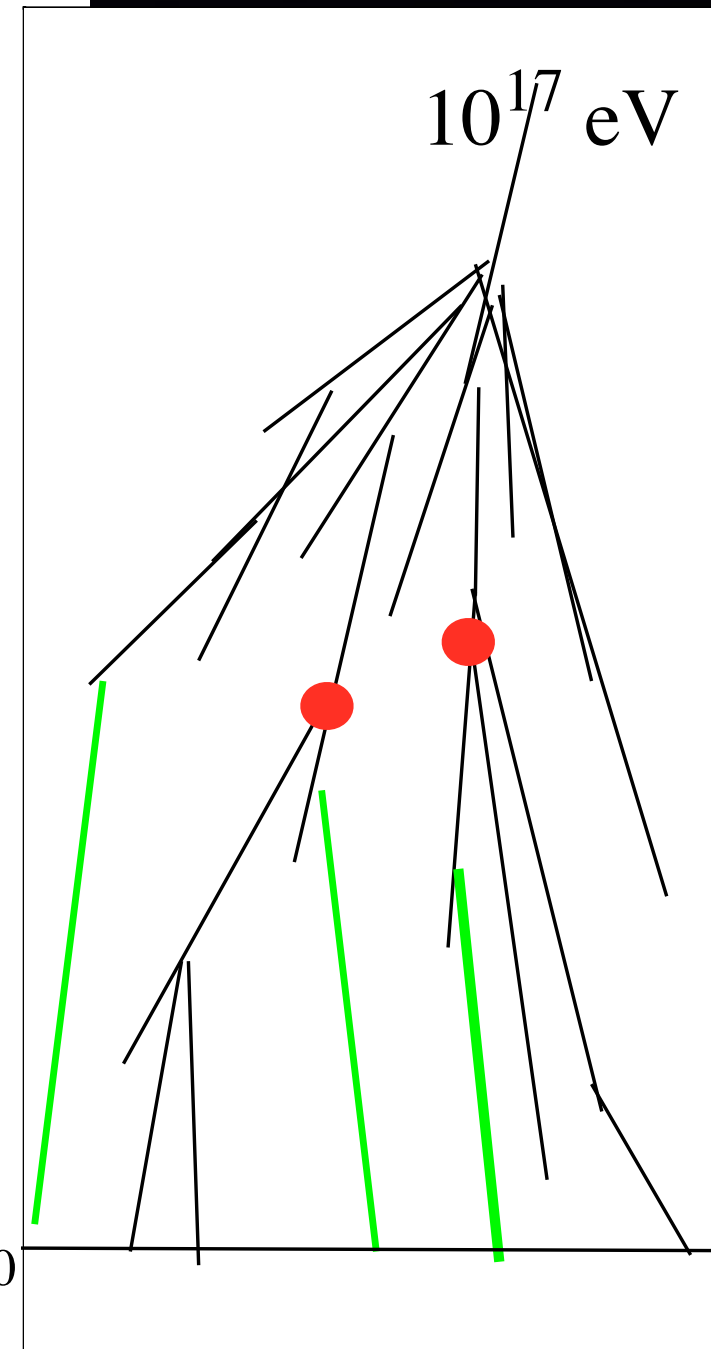
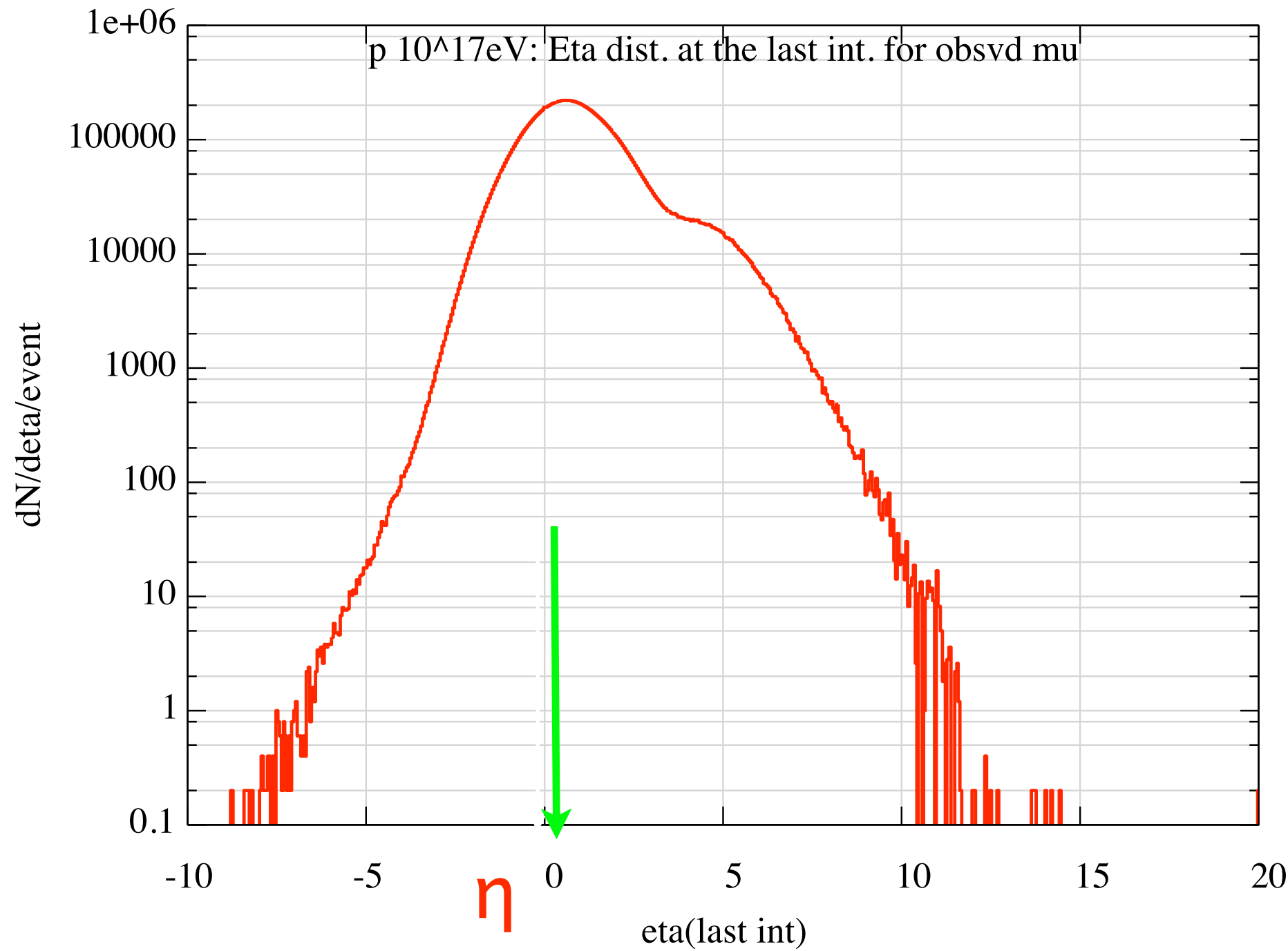
Number of muons produced from descendent of

Muons

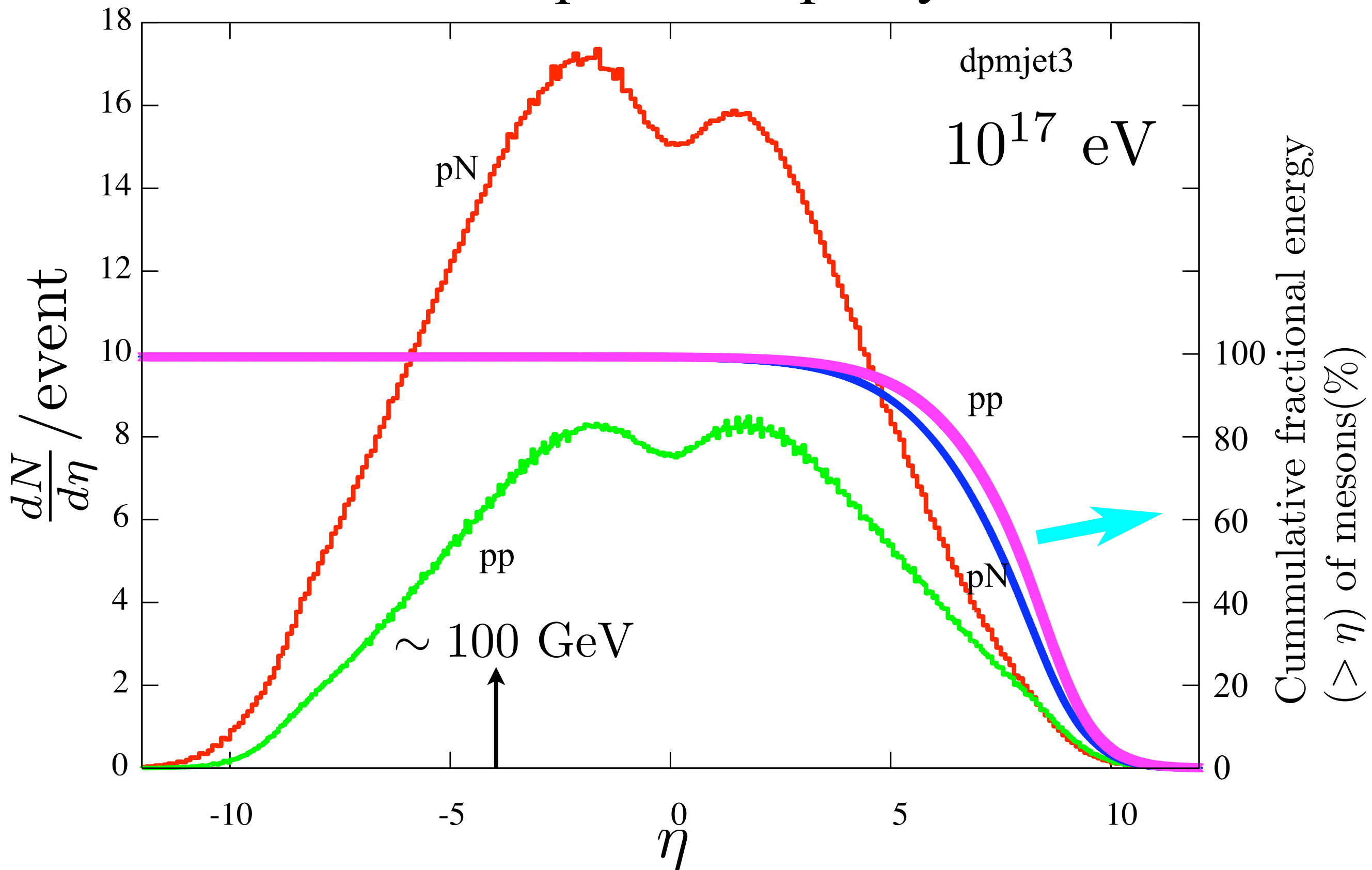
first interaction: $p \sim 10^{17} \text{eV}$



Eta dist. of last interaction which produced muons:



Meson pseudo rapidity



Low Energy

Atmospheric Neutrino

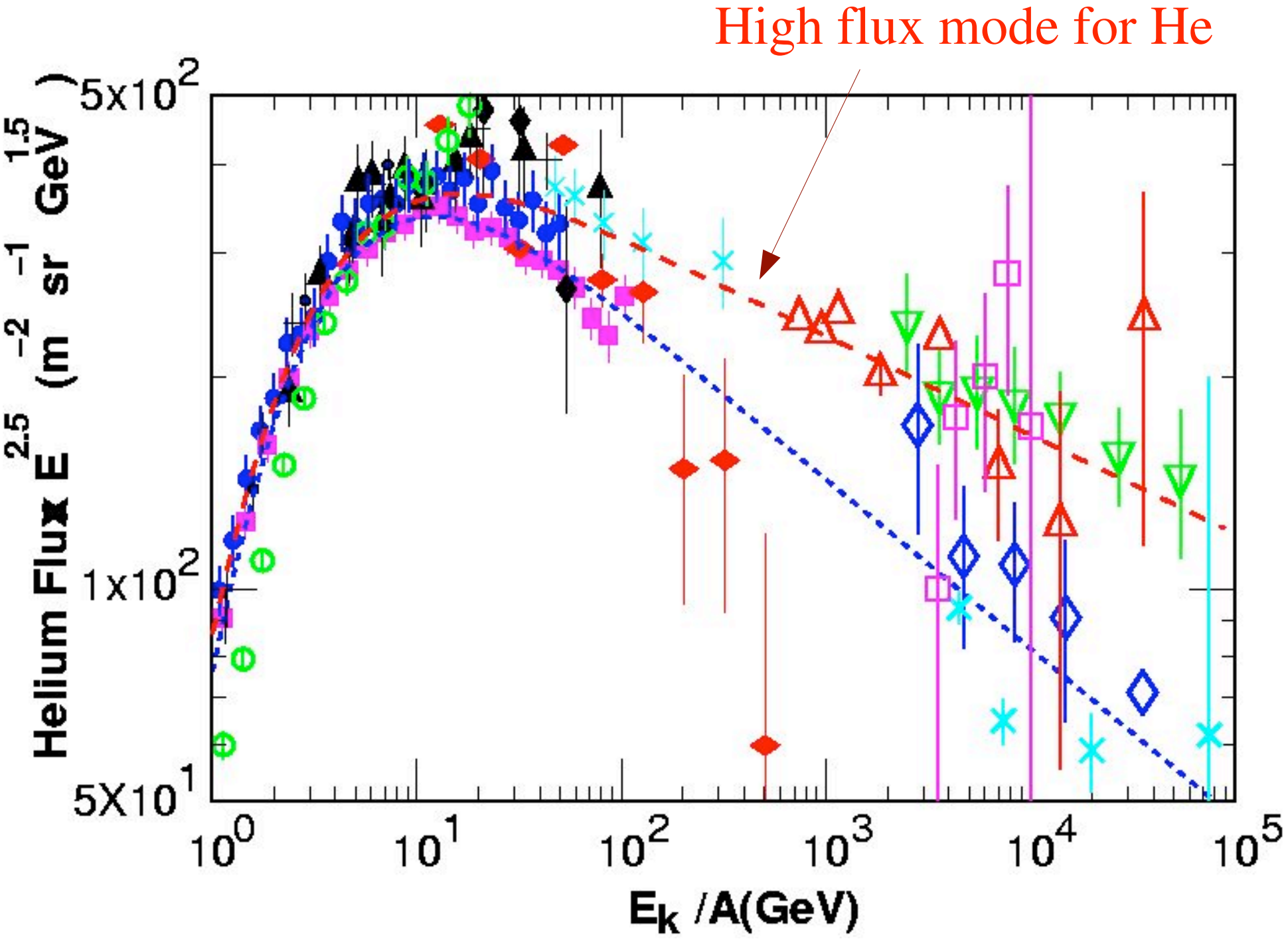
(muons and protons: mainly by
M.Honda)

We have to select “GOOD” data !

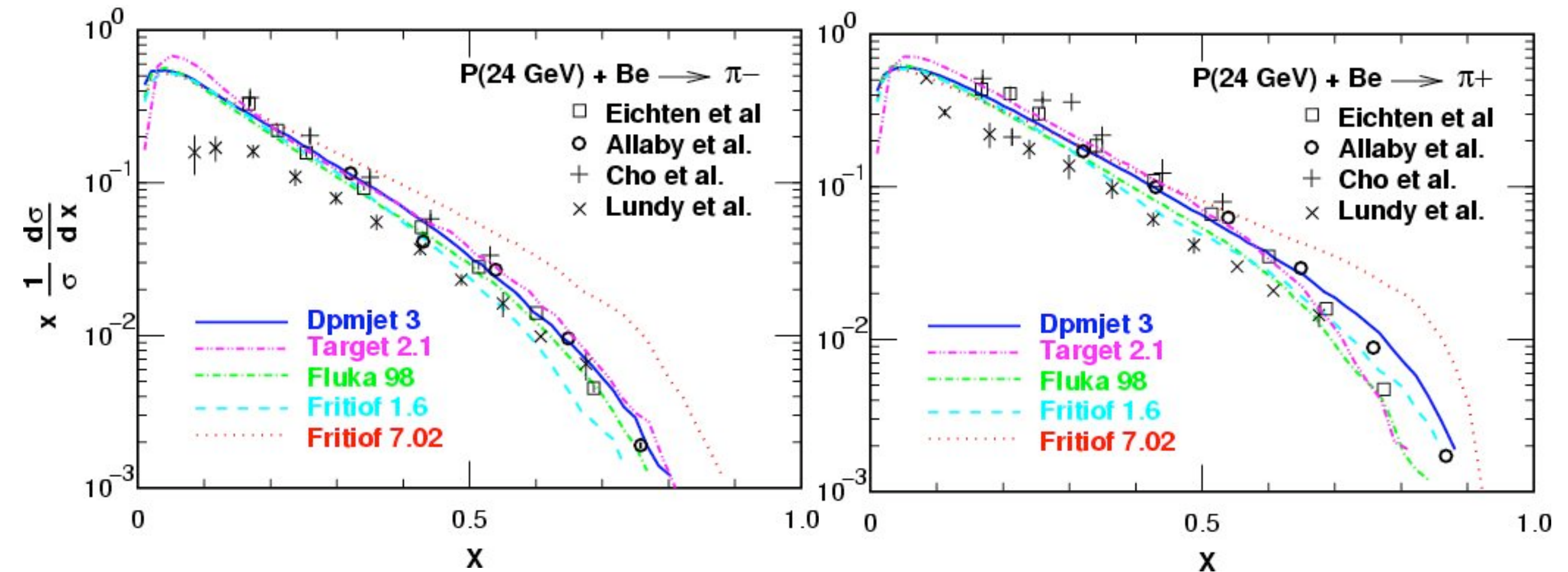
BESS 1ry: AMS 1ry
muon observation
gamma ray observation
proton observation

vs Model Calculations

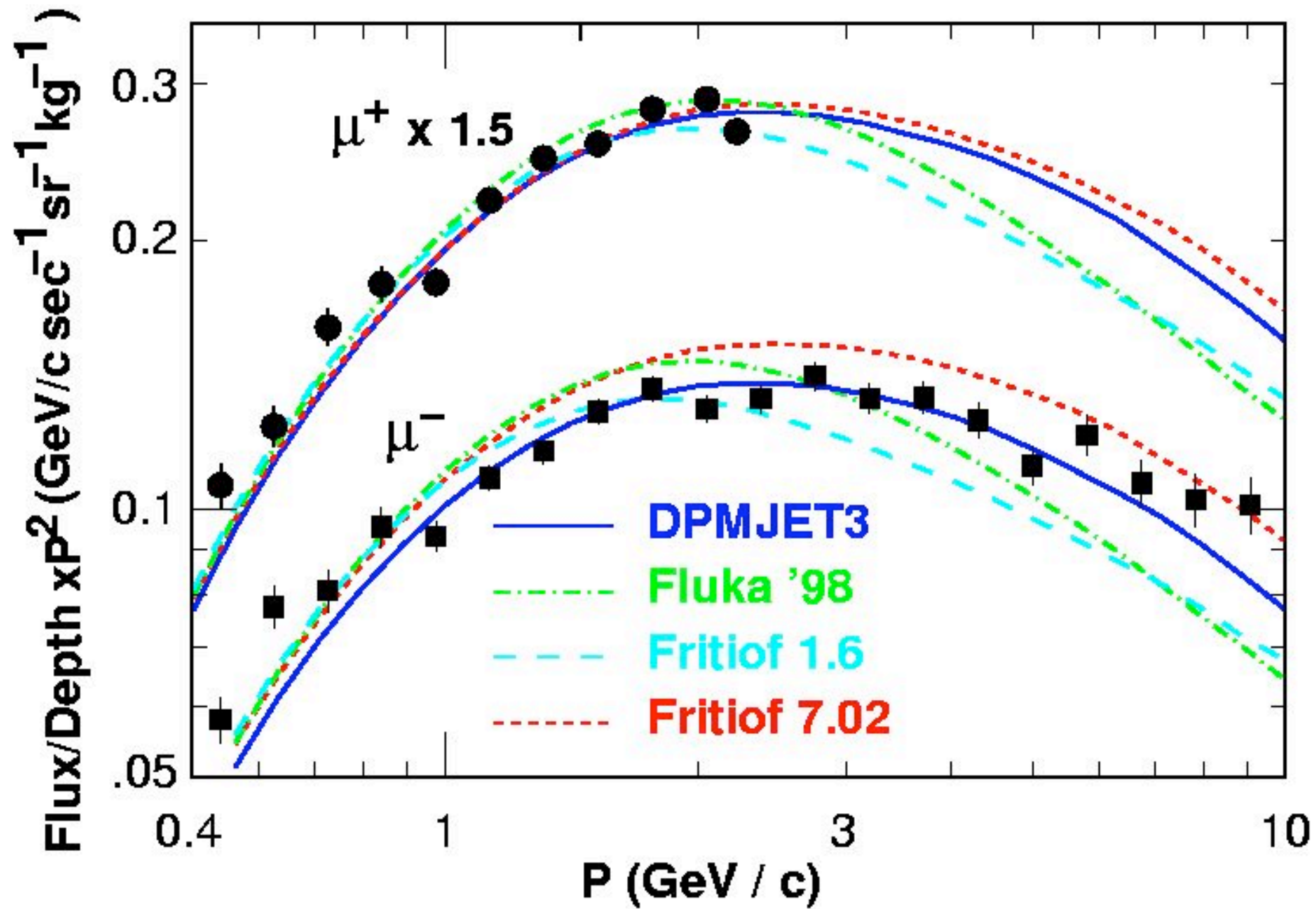
Primary He flux model



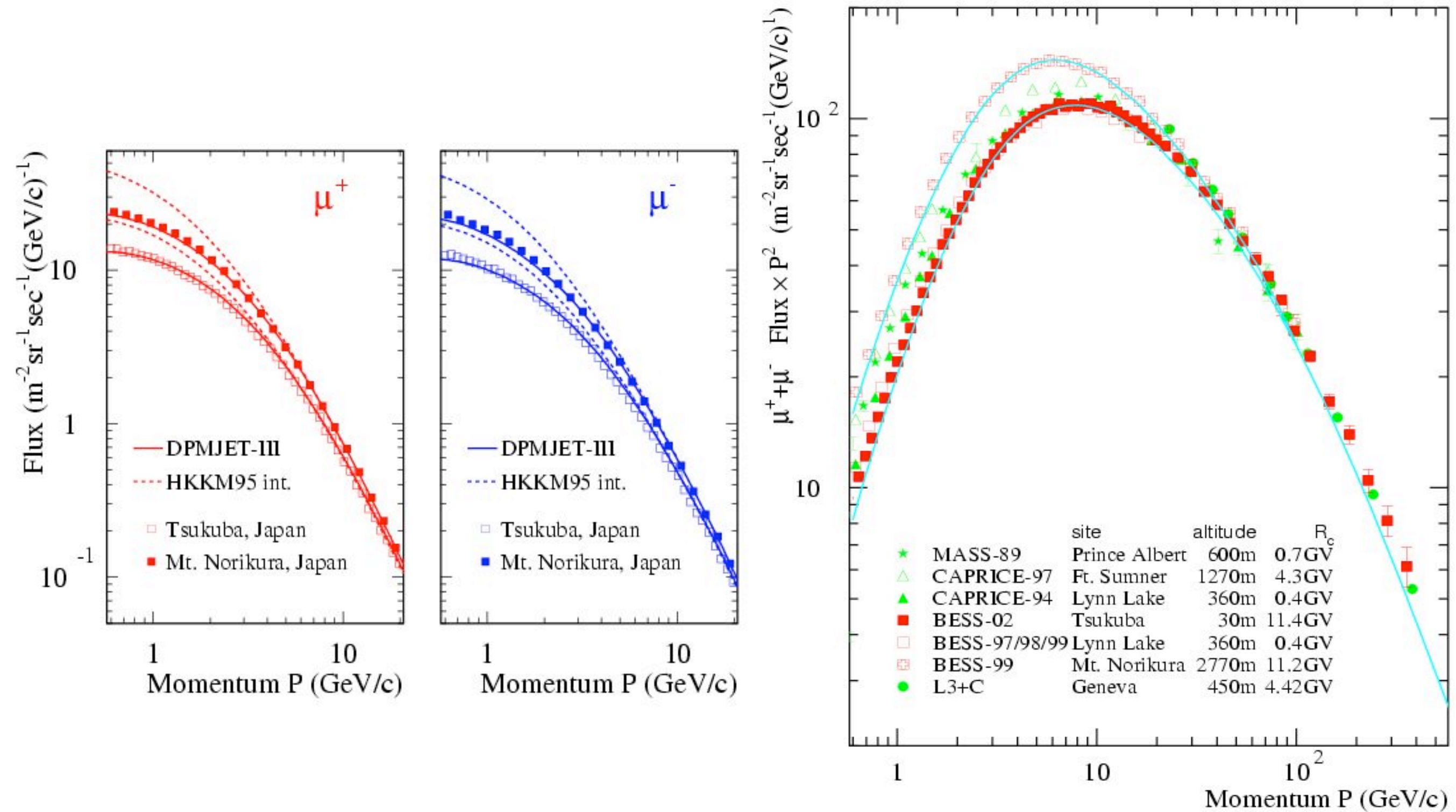
Interaction Model



Test with muon flux at Balloon Altitude

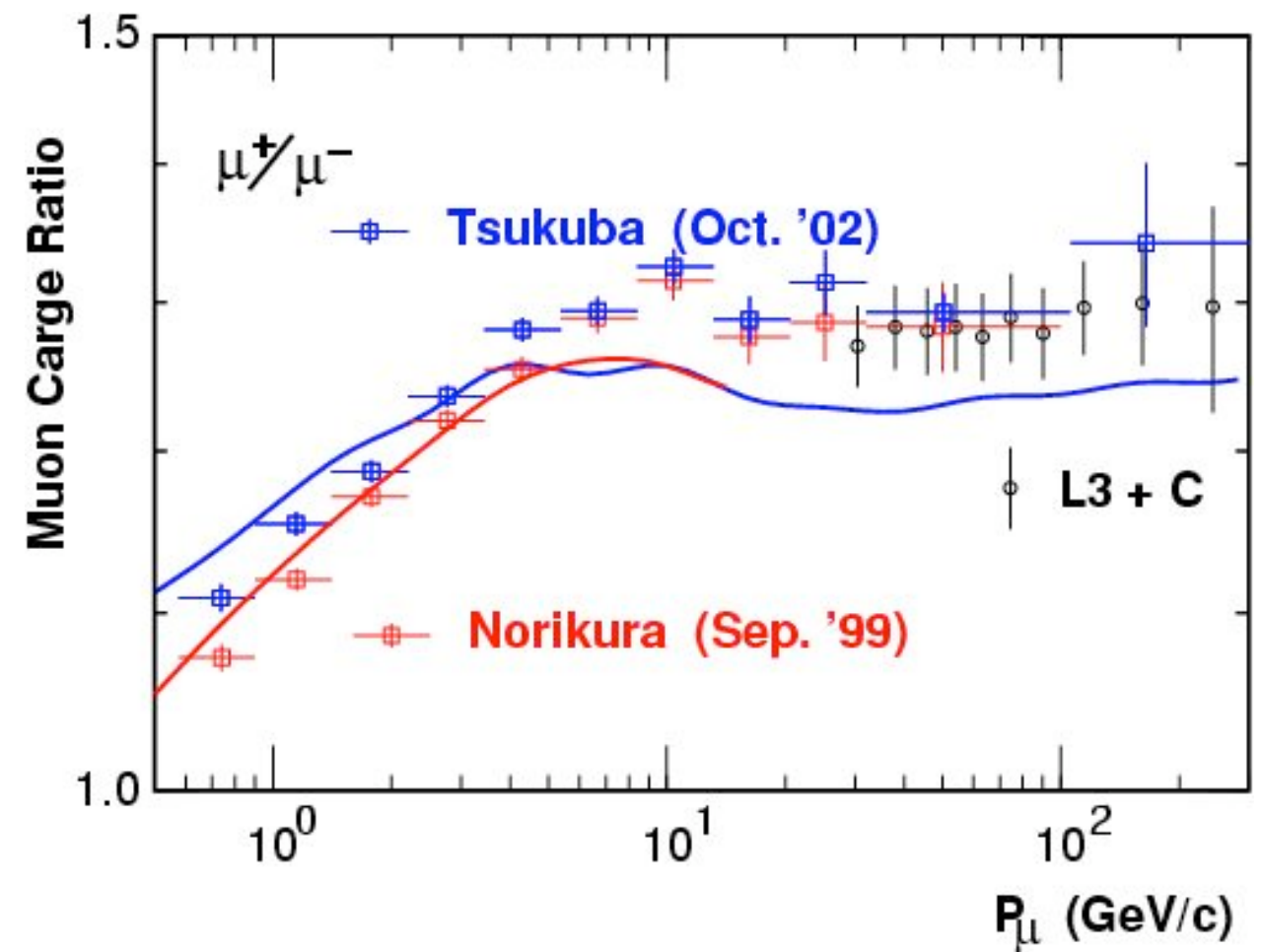
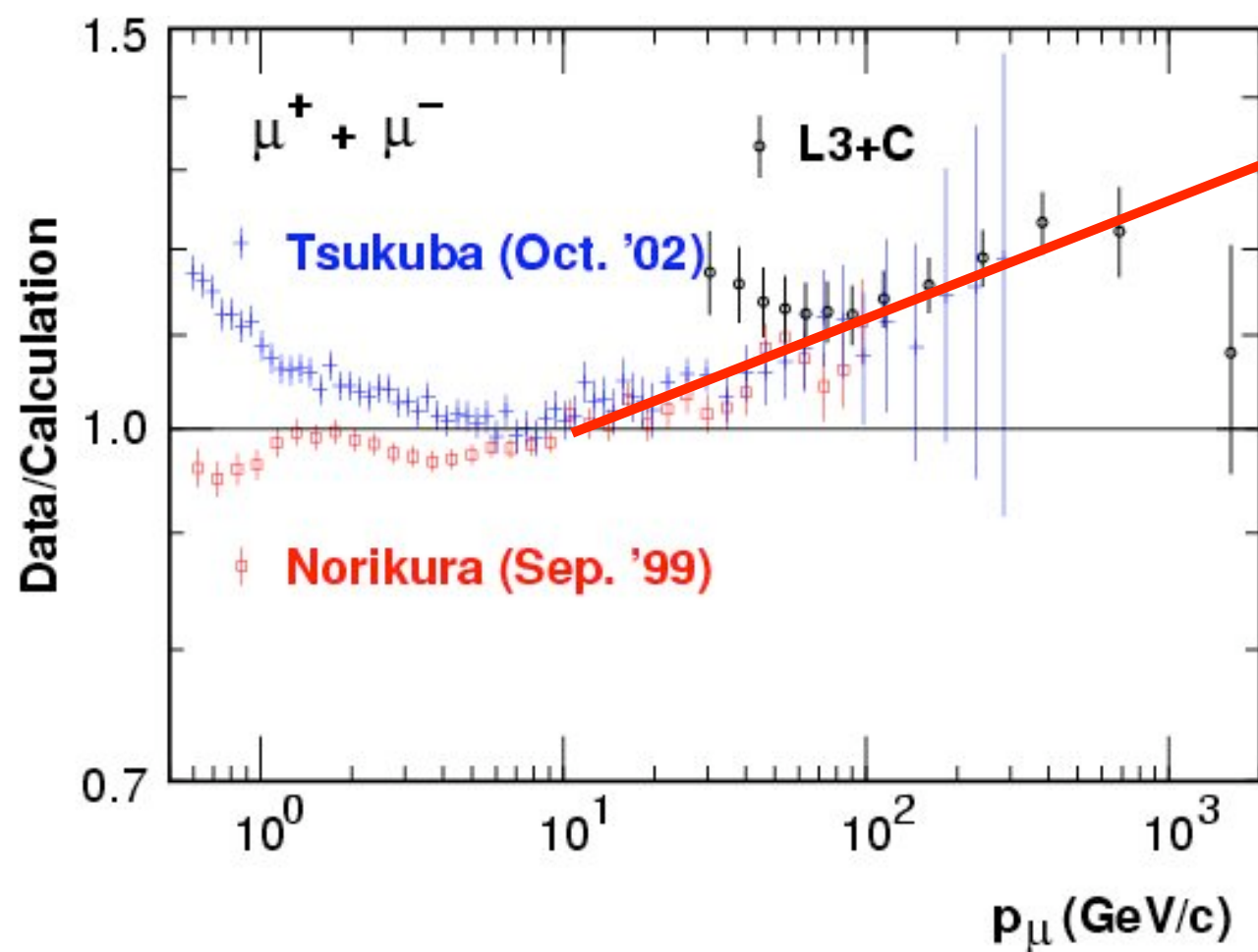


Muon Observations

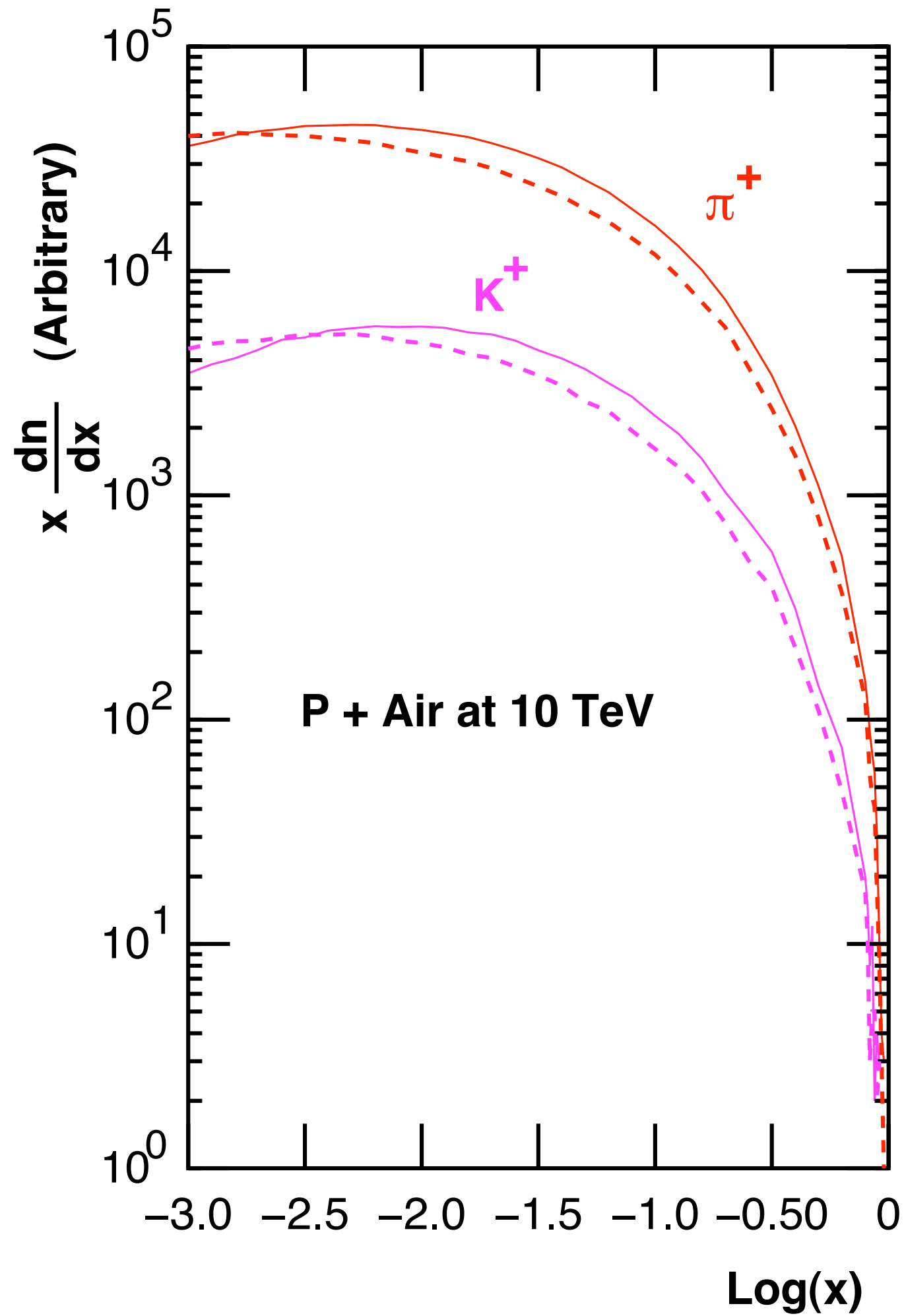


Comparison of Muon Flux Calculated in HKKM04 and Observed Data.

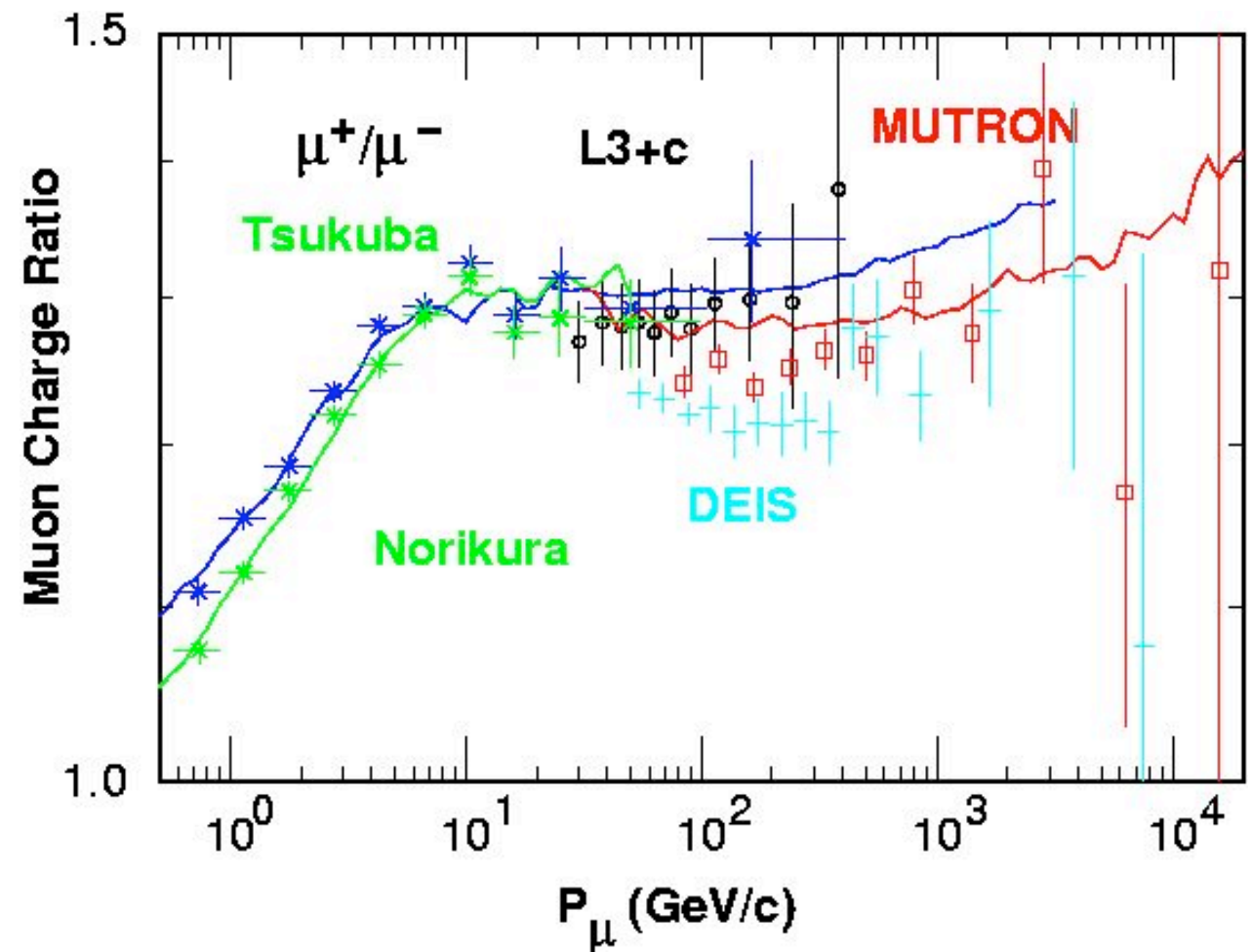
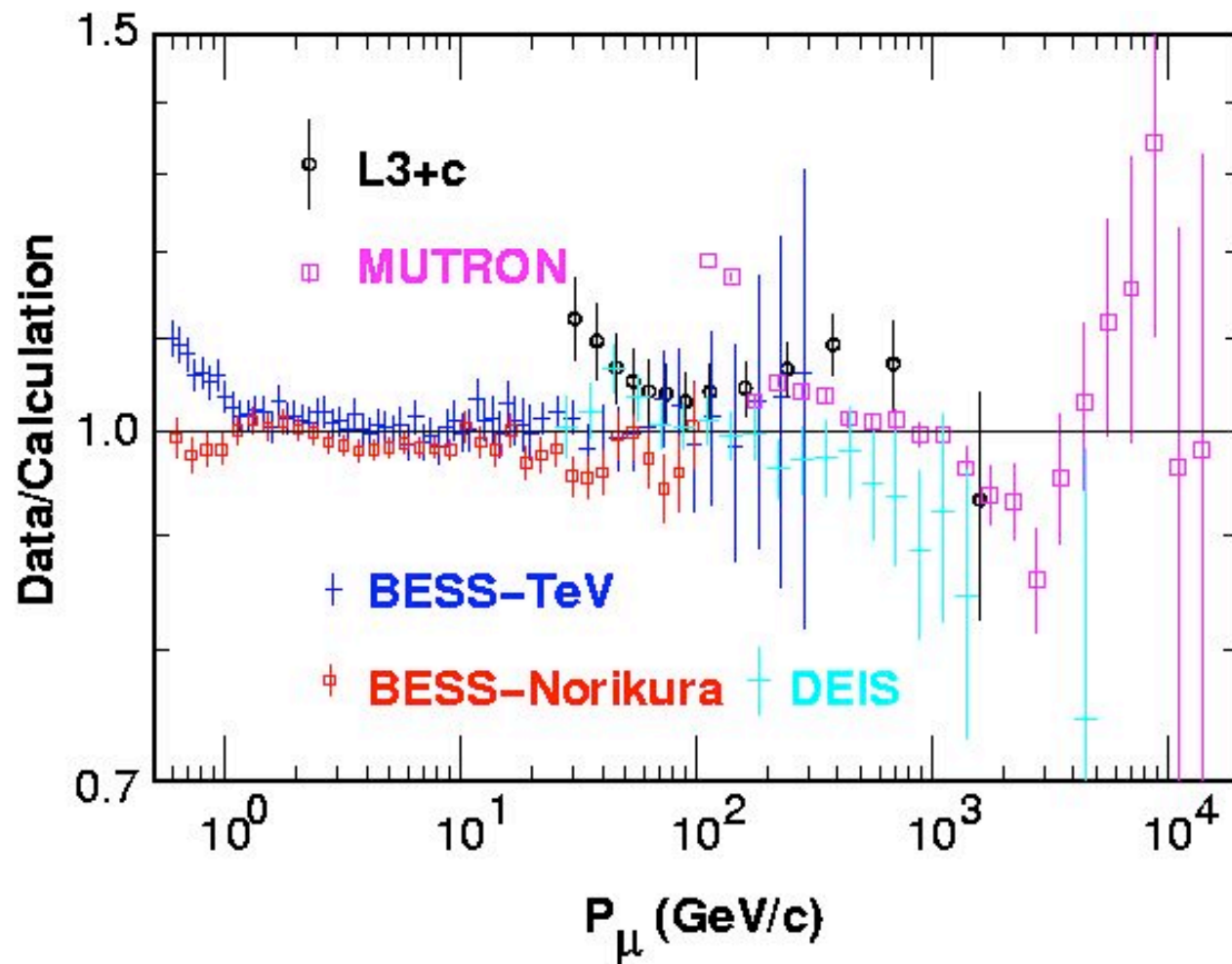
The differences are $\sim 5\%$ in absolute value for $1 \sim 30 \text{ GeV}/c$, and $\sim 5\%$ in charge ratio for all momentums.



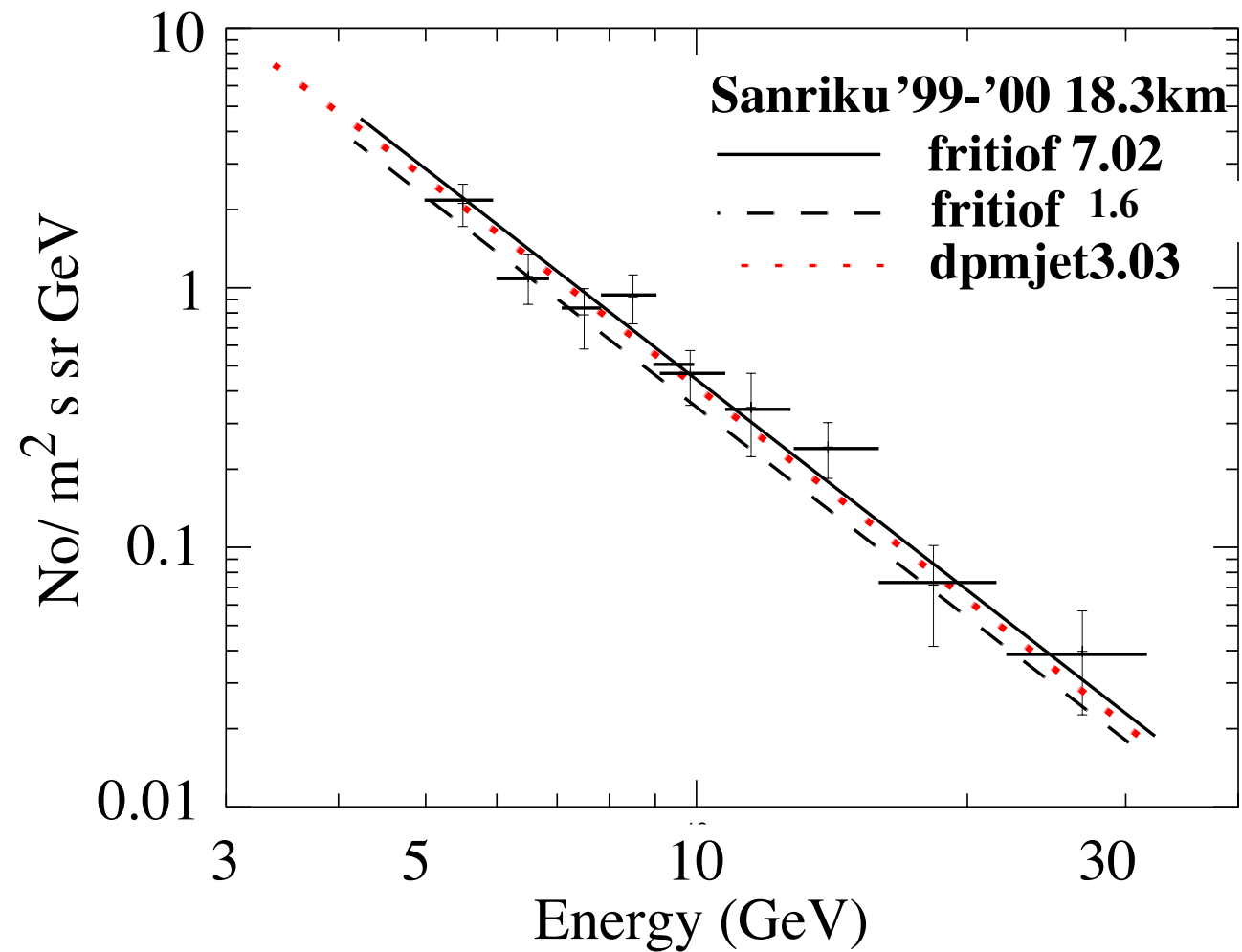
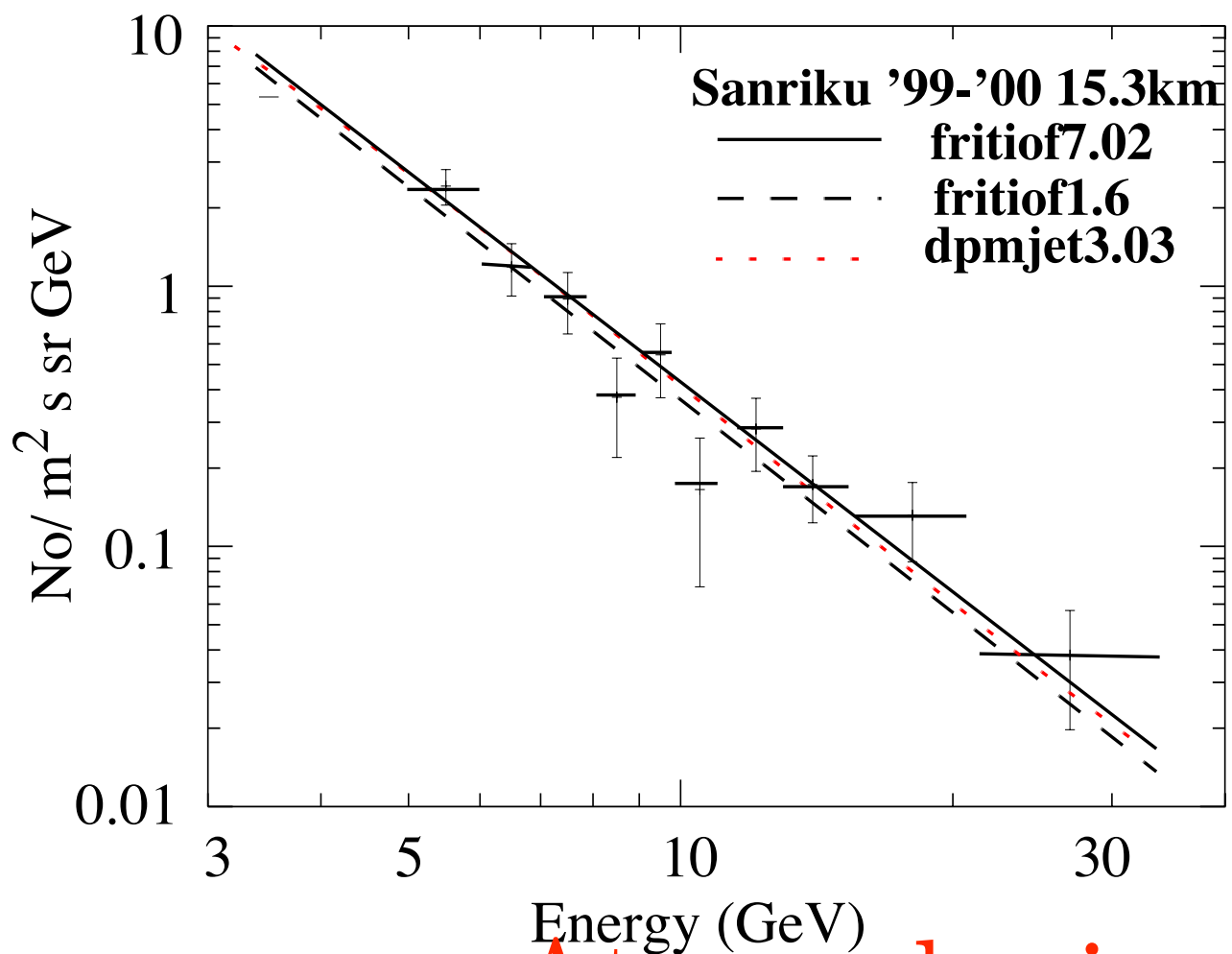
The difference of the absolute value increases at high energies, as $\sim (P/10 \text{ GeV})^{0.05}$.



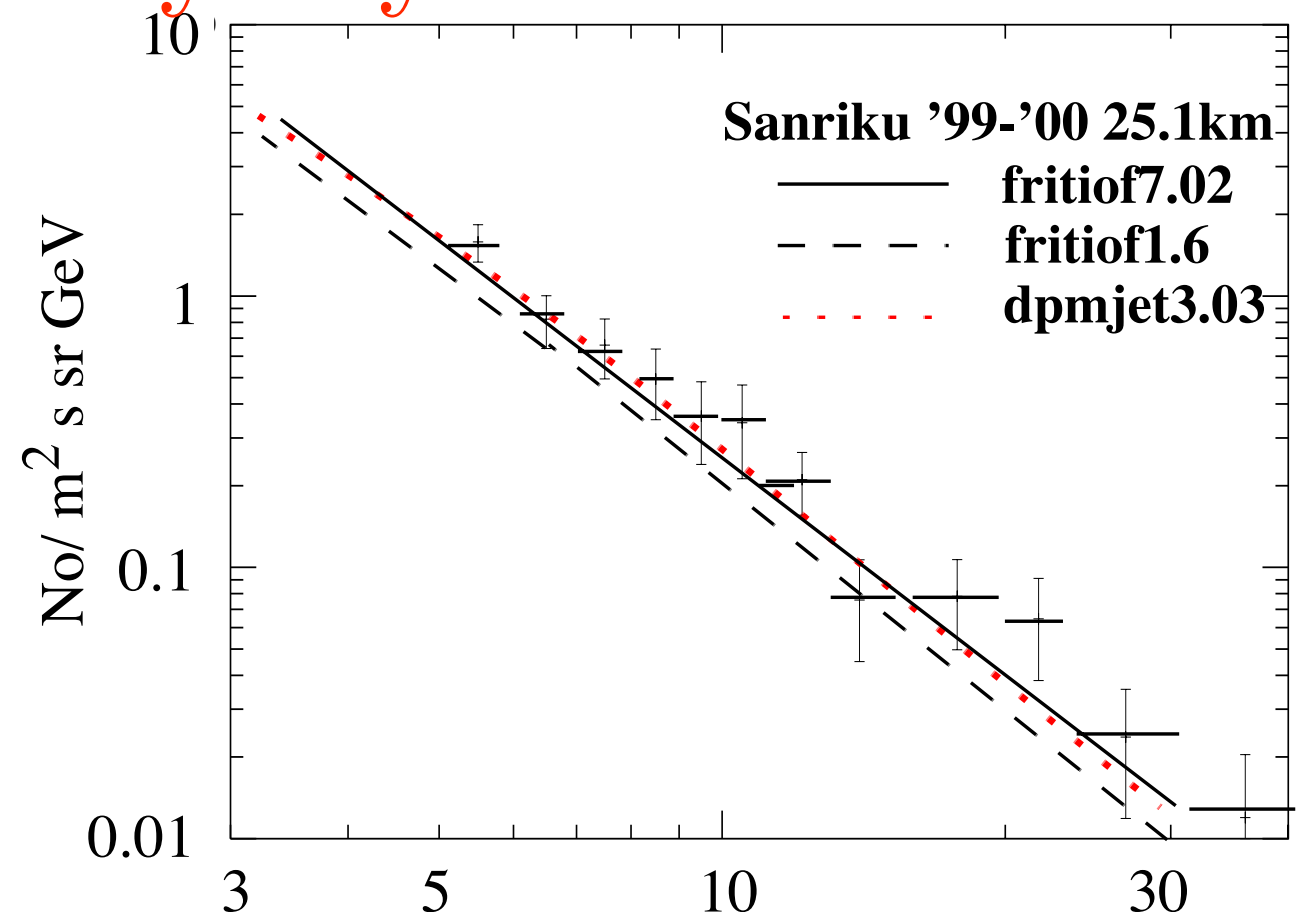
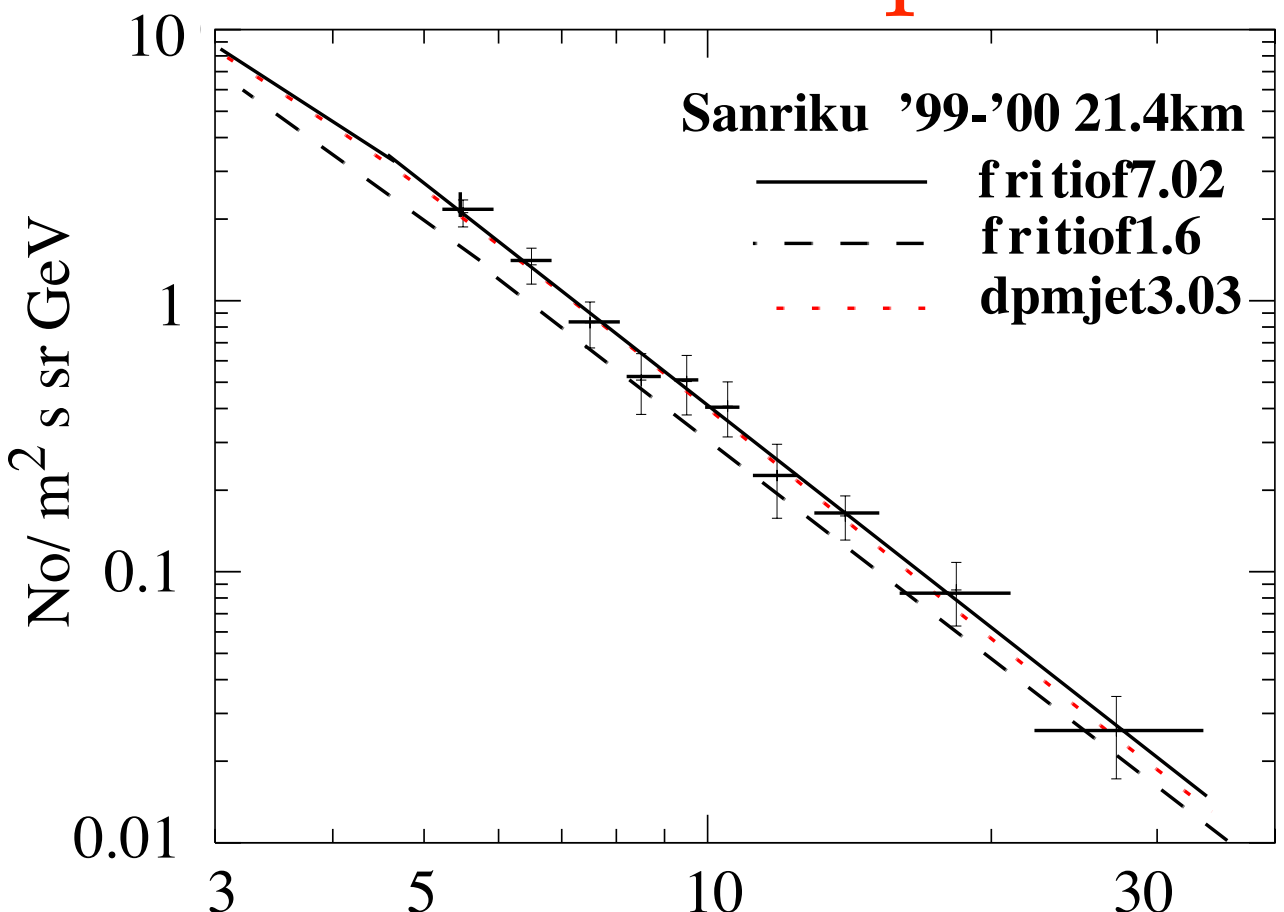
Comparison of Modified Results with the Observations

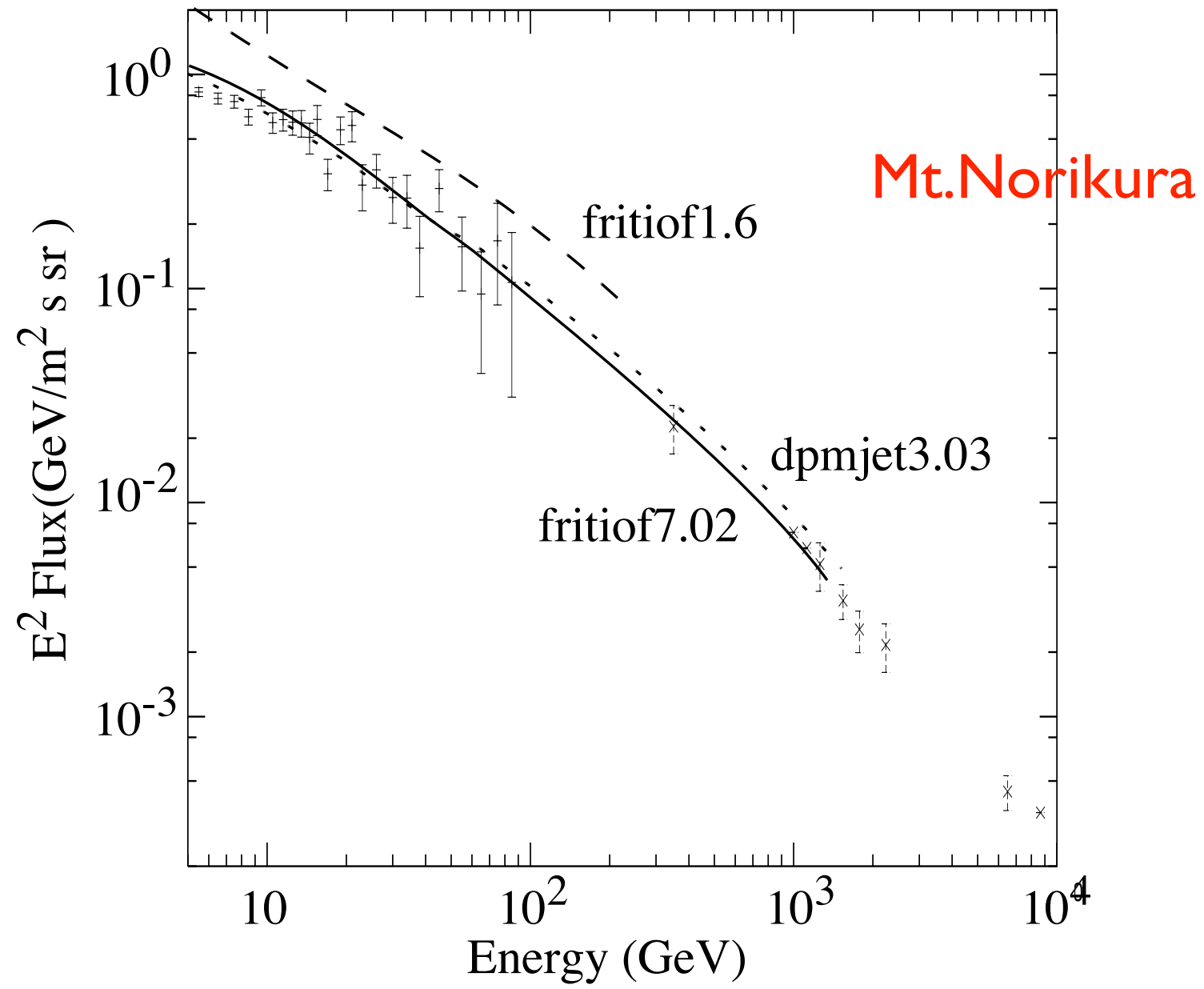


The calculation and data agree well within 10 % in 0.5 GeV/c ~1 TeV/c, and < 5% in 1~30GeV/c.



Atmospheric γ -rays by BETS





Summary at low energies ($<10\text{TeV}$)

- dmpjet3 seems good: flux within $\sim 10\%$
- However, for better agreement with observations: X-distribution must be enhanced.

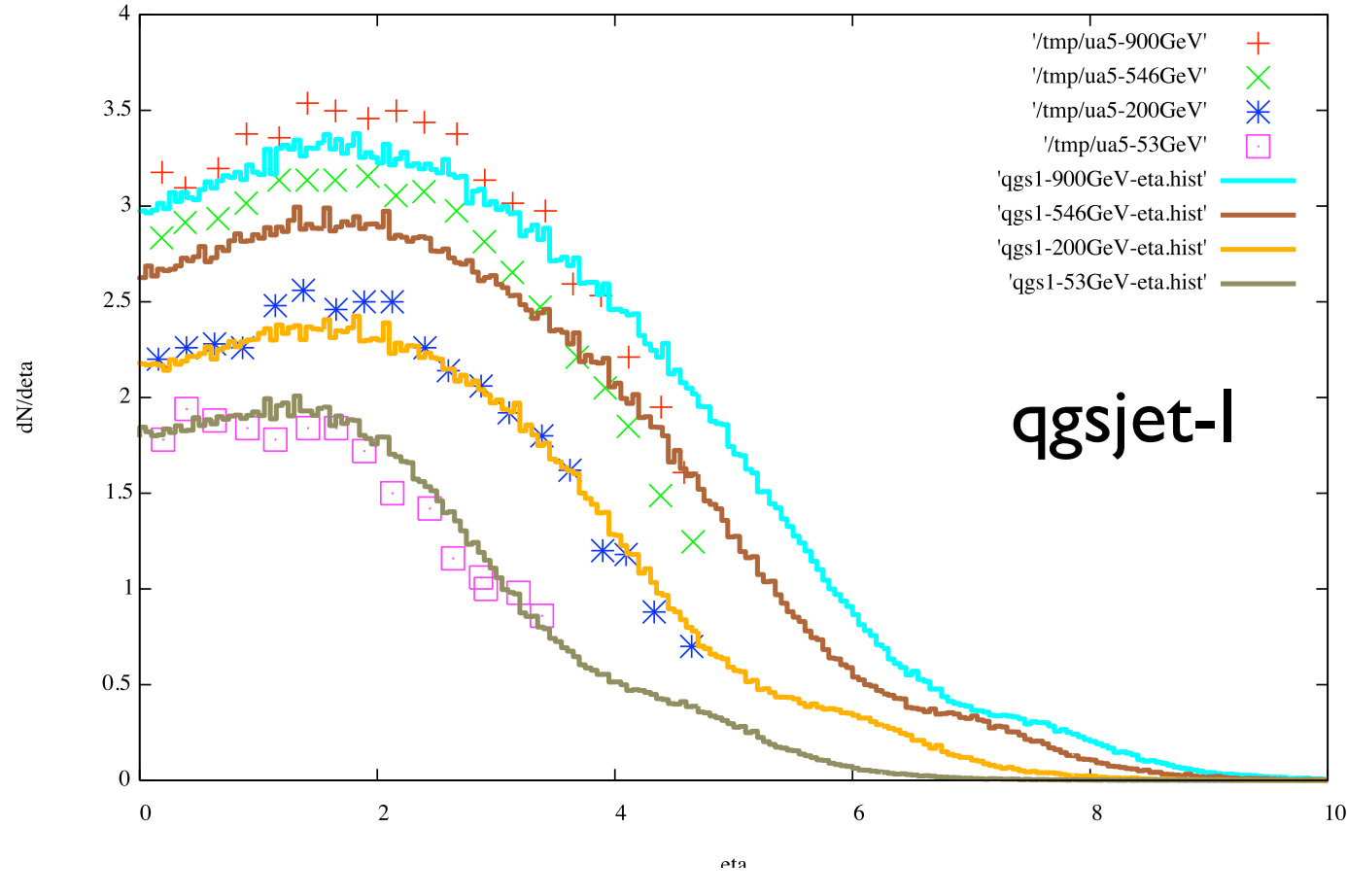
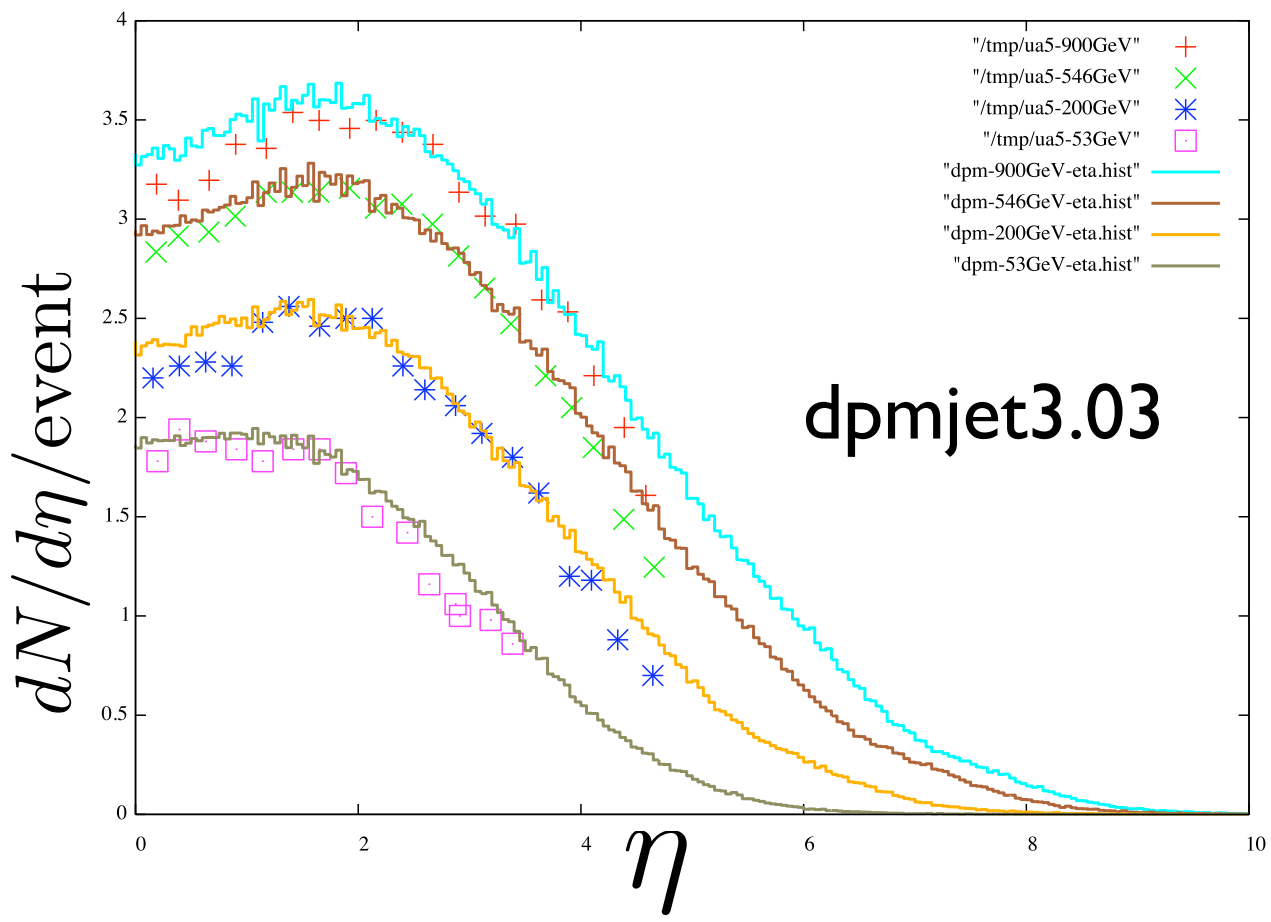
10^{14} eV region

- UA5 problem

- SPS + (ISR); pseudo rapidity distribution

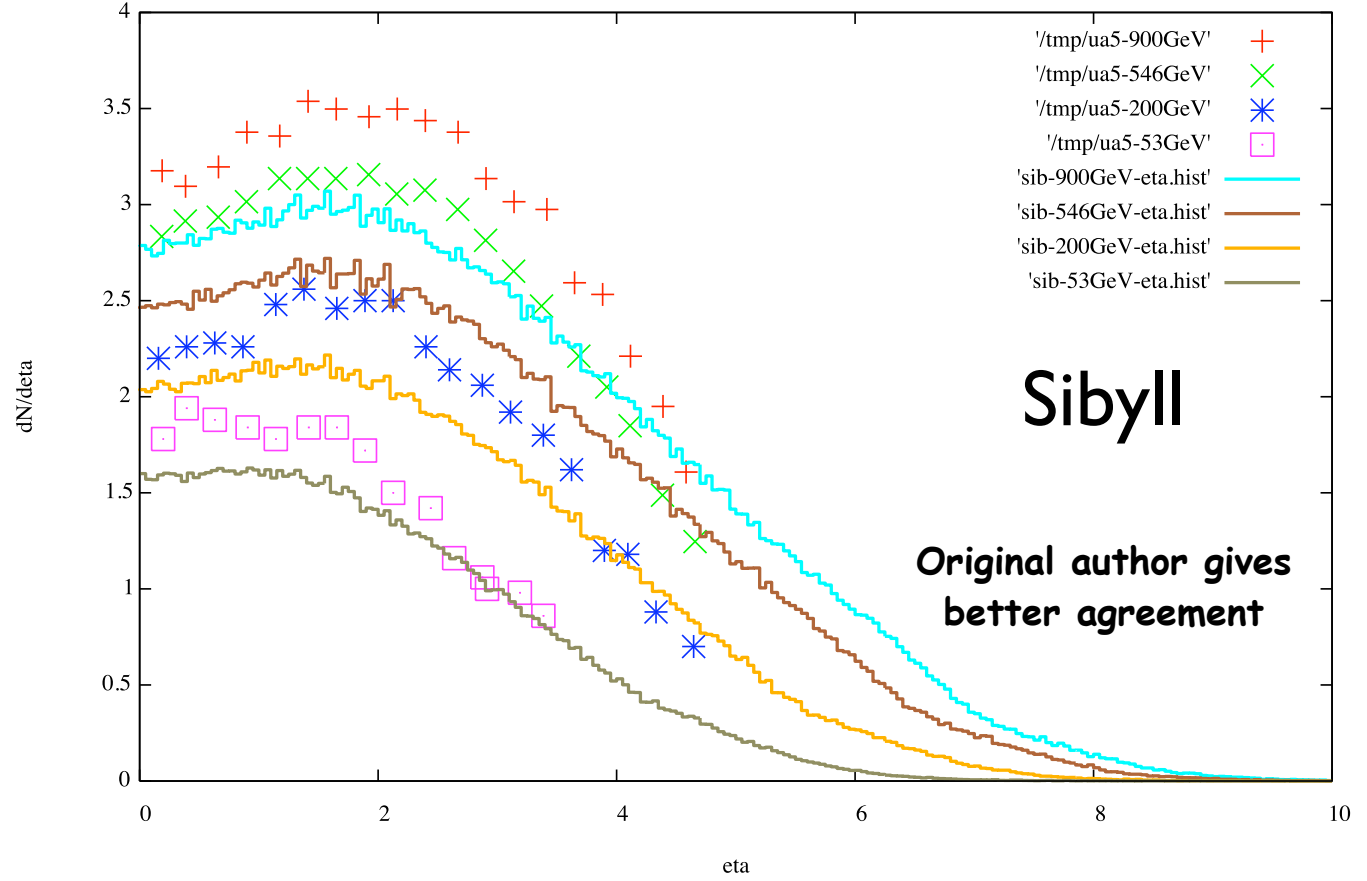
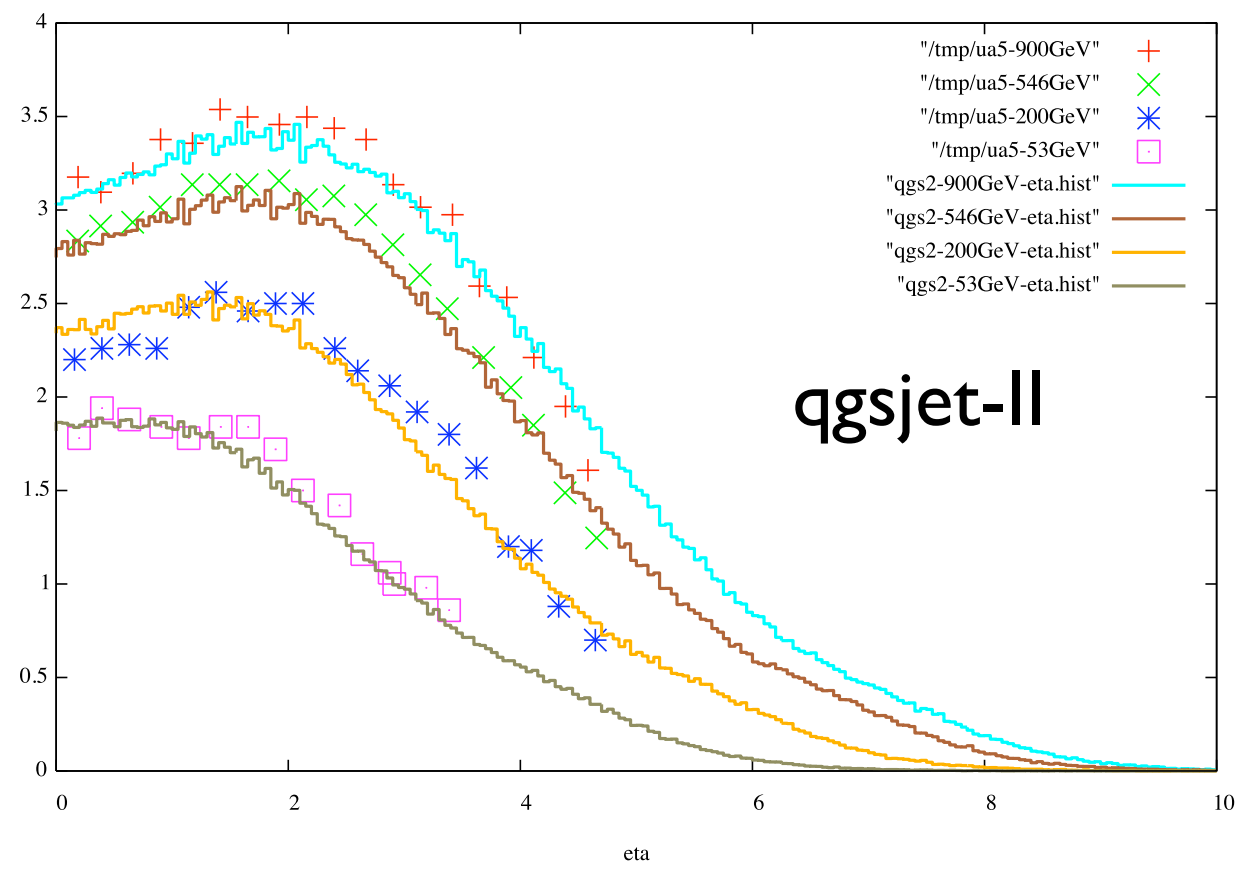
$$\eta = -\log\left(\tan\frac{\theta}{2}\right)$$

- Contradicting to a Si data and M.C

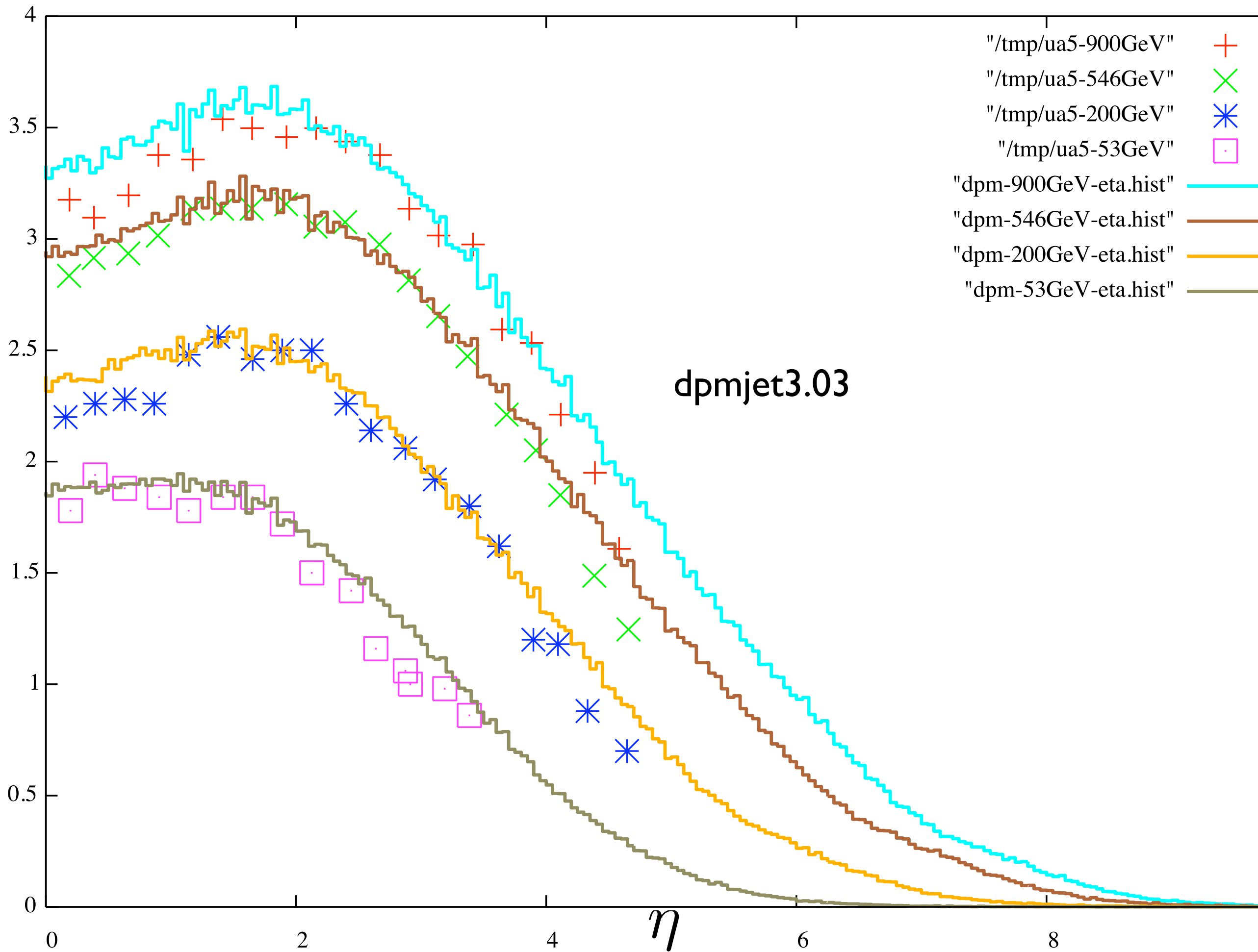


QGSJET-II

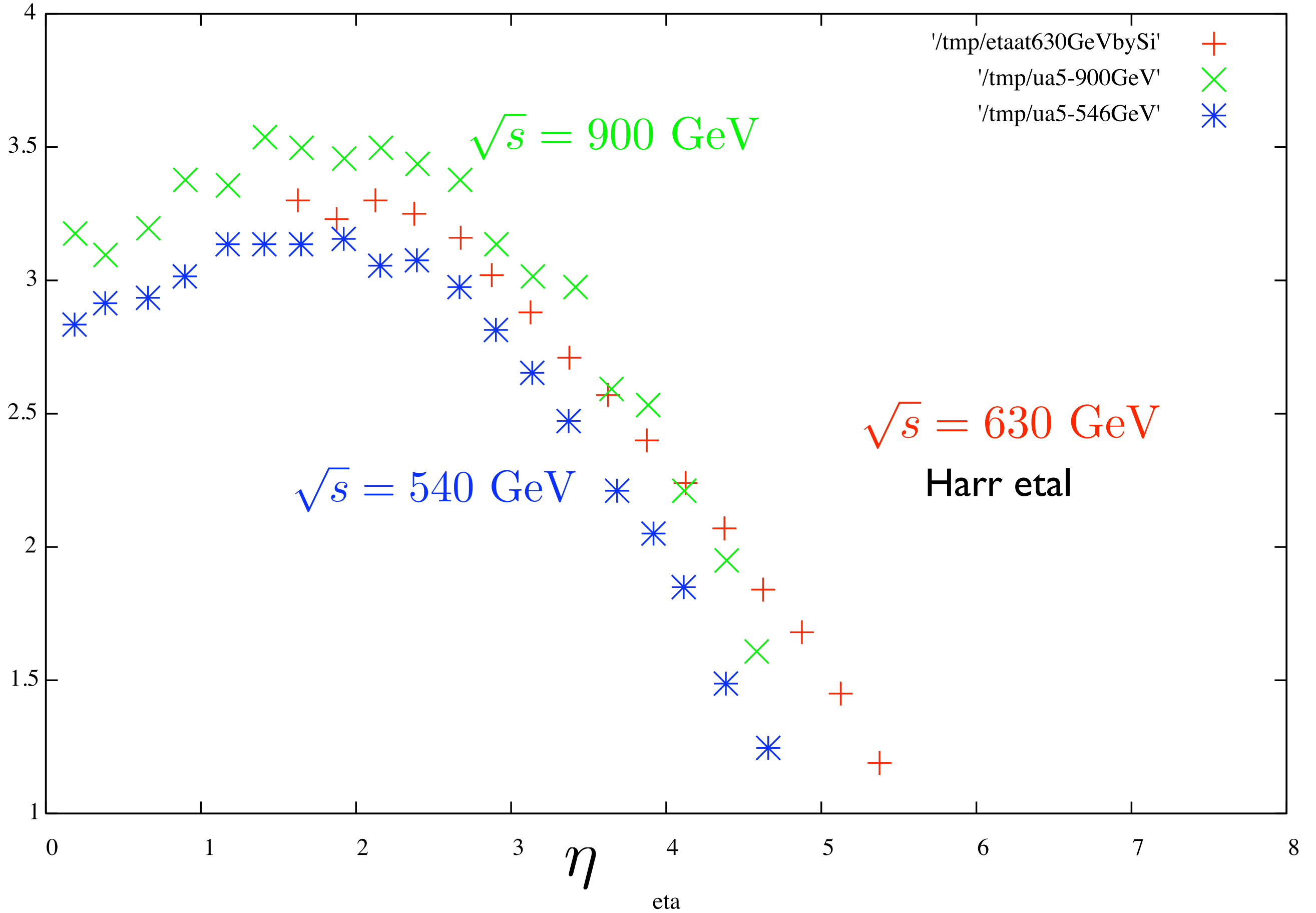
Sibyll



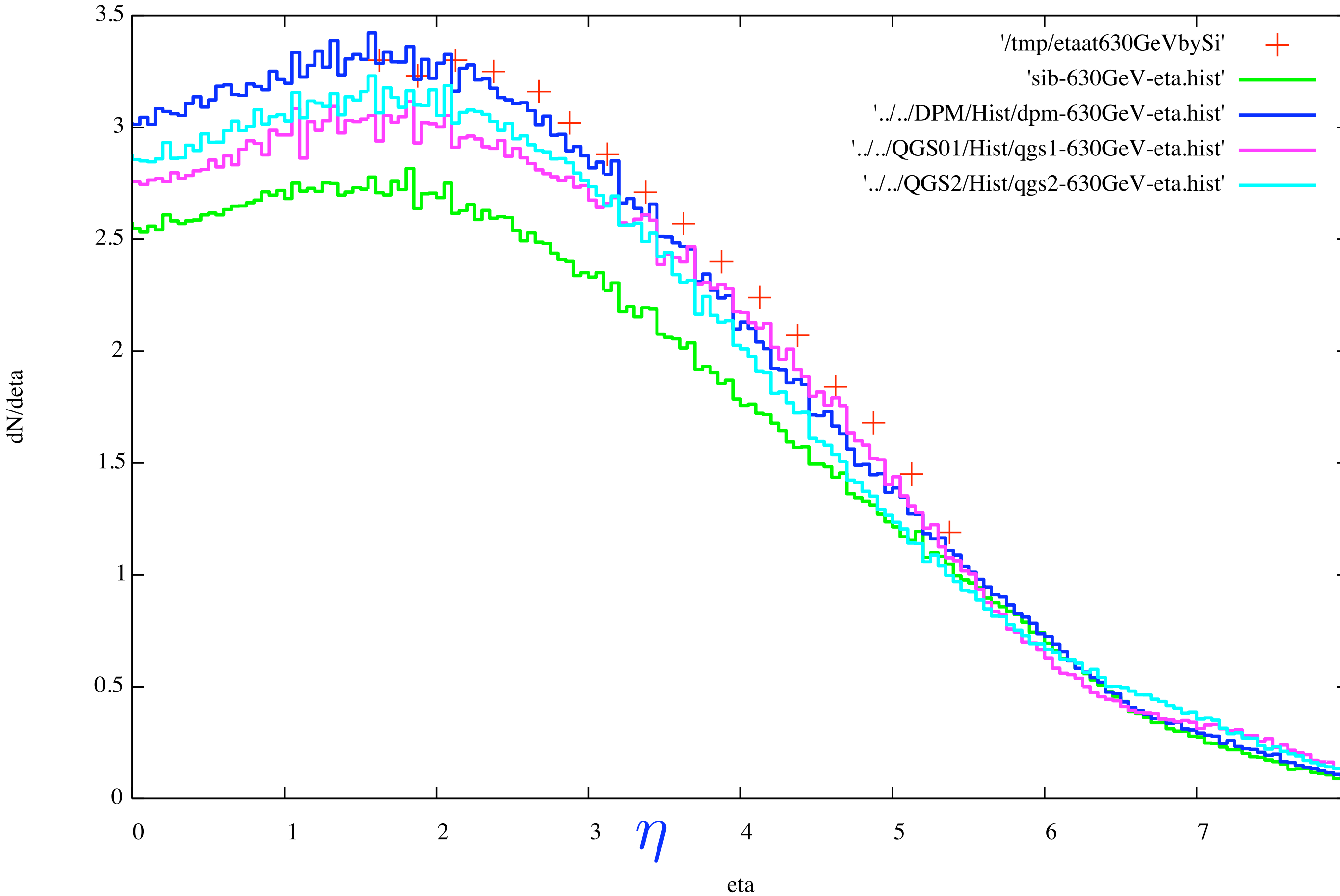
$dN/d\eta/\text{event}$



Pseudo rap. UA5 vs Harr etal Silicon data



Harr etal Si data at 630GeV vs Models



M.C method itself:

Computation time and memory size
for Full M.C ($E_{\min} < 1\text{MeV}$)

E_0	cpt time @2GHz cpu	disk size
• 10^{17} eV	~ 1 week	10 GB
• 10^{19} eV	~ 2 years	1 TB
• 10^{20} eV	~ 20 years	10 TB

Thin sampling (a la Hillas) etc

- Usable for seeing the transition of the total number of particles
- Dangerous for seeing individual particle properties (happens that 10^5 particles at the same point with the same energy, angle, arrival time etc.)

Distributed-parallel computing

- MPI (?)
- Need complex communications among a number of cpu's (how to distribute tasks).
- Normally not efficient when the number of cpu exceeds some limit (say, 7).

New distributed-parallel computing method Skeleton-Flesh method

- Enables Full M.C up to 10^{19} eV
- Enables virtual F.M.C at 10^{20} eV or higher energies
- At the same time, settles the storage size problem

Skeleton-Flesh method

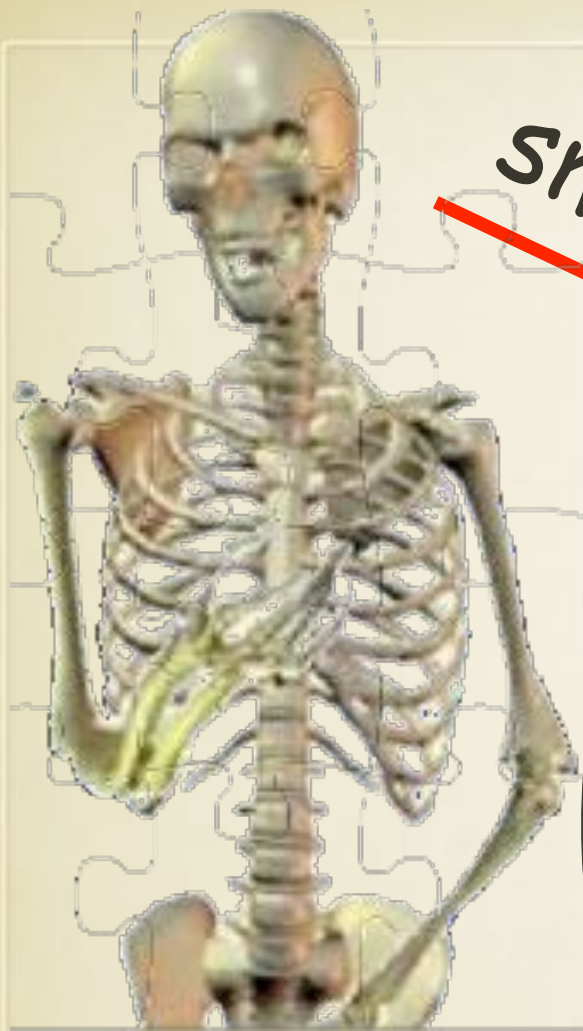
skeleton



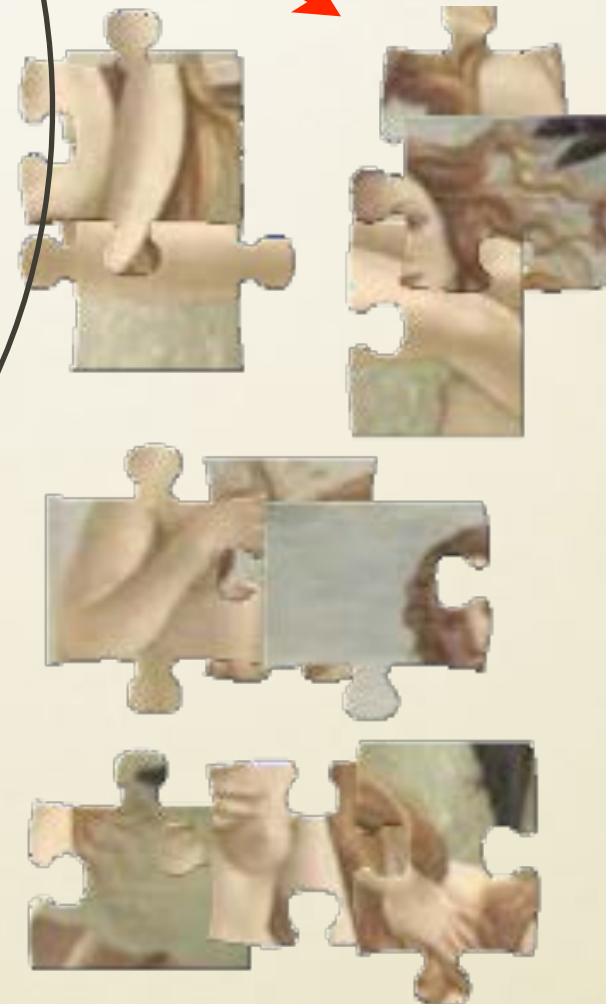
Extended SF

Distributed parallel processing

Smash



Fleshing at n-cpu



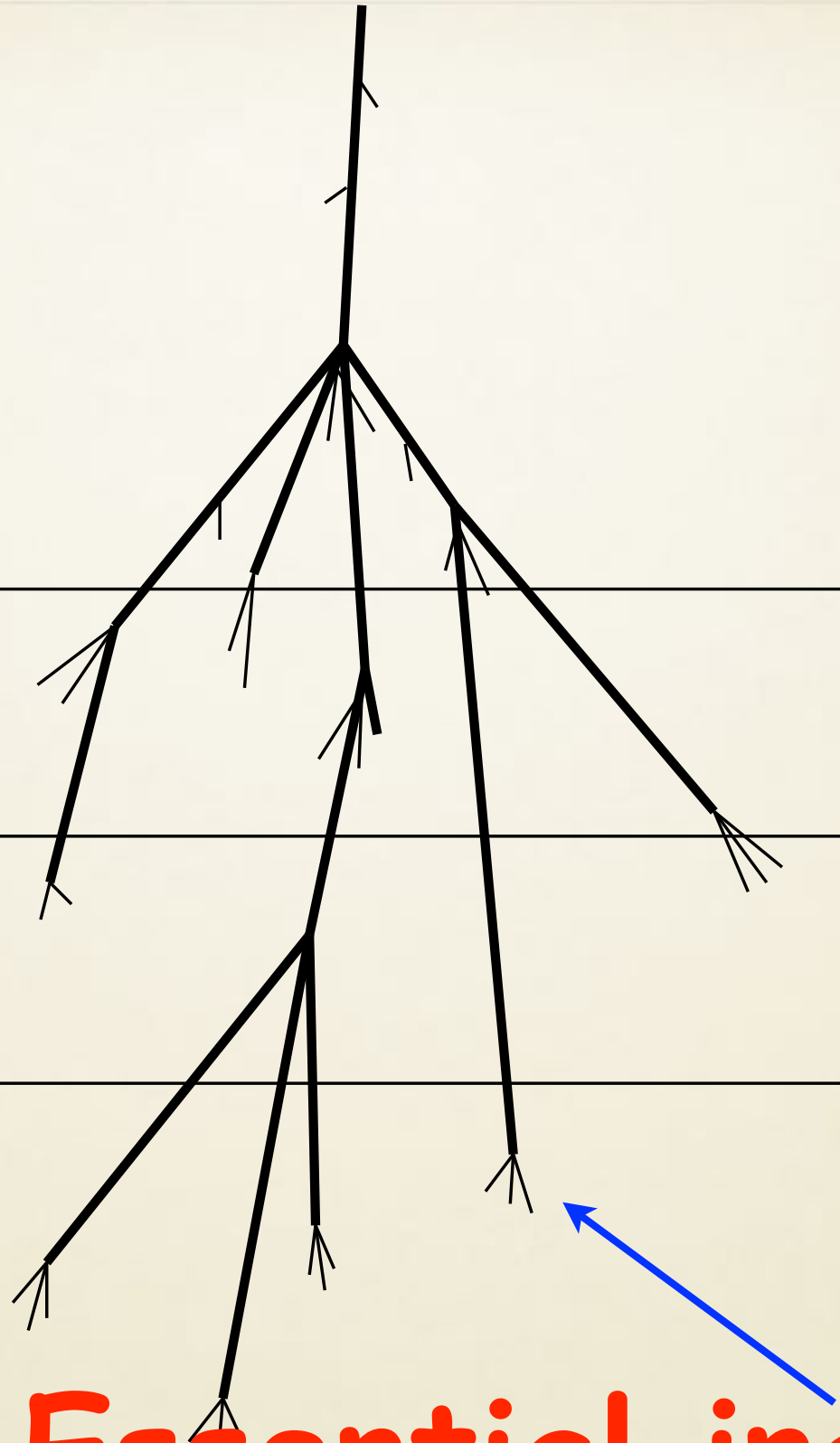
Assembling



No communication needed during computation

skeleton/smash/flesh/assemble

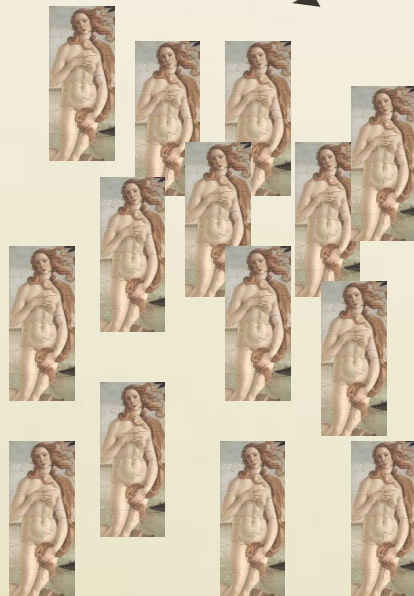
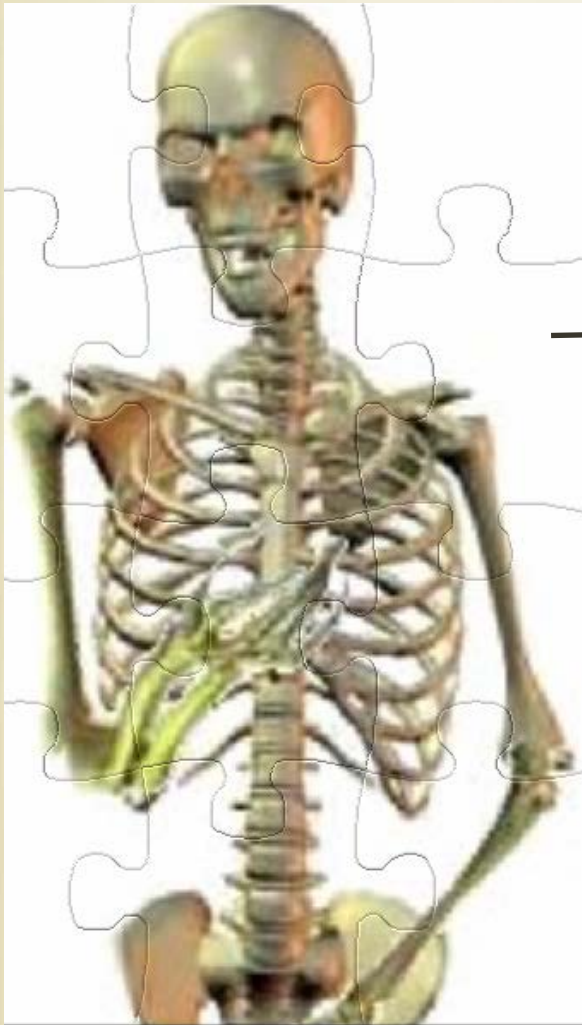
Observation levels



**Skeleton: Essential ingredients:
low energy particles**

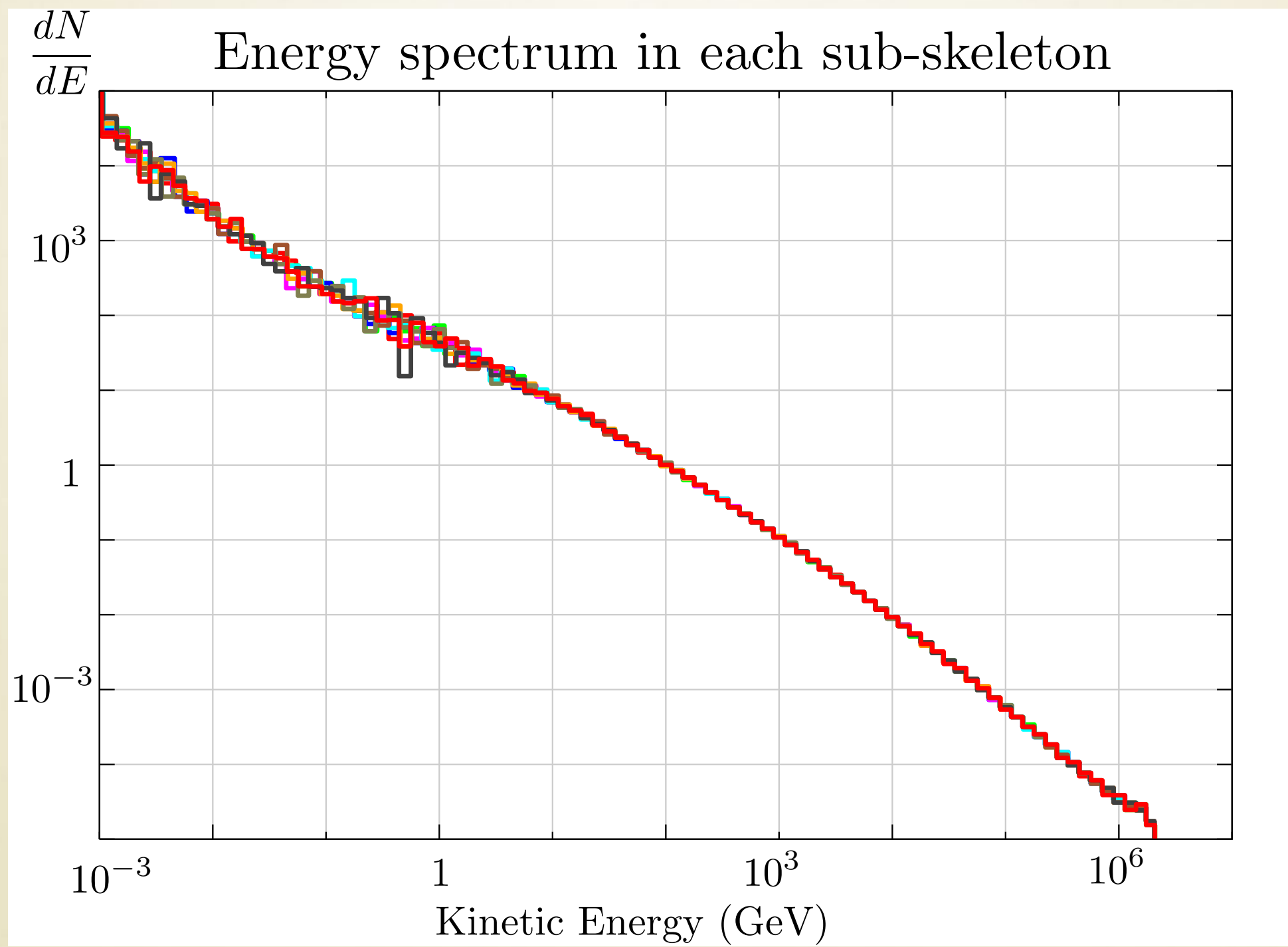
- If ~ 50 cpu's available
 - 10^{19} eV \rightarrow 1 \sim 2 weeks
 - Storage: randomly select particles to be recorded
- How about 10^{20} eV or higher energies

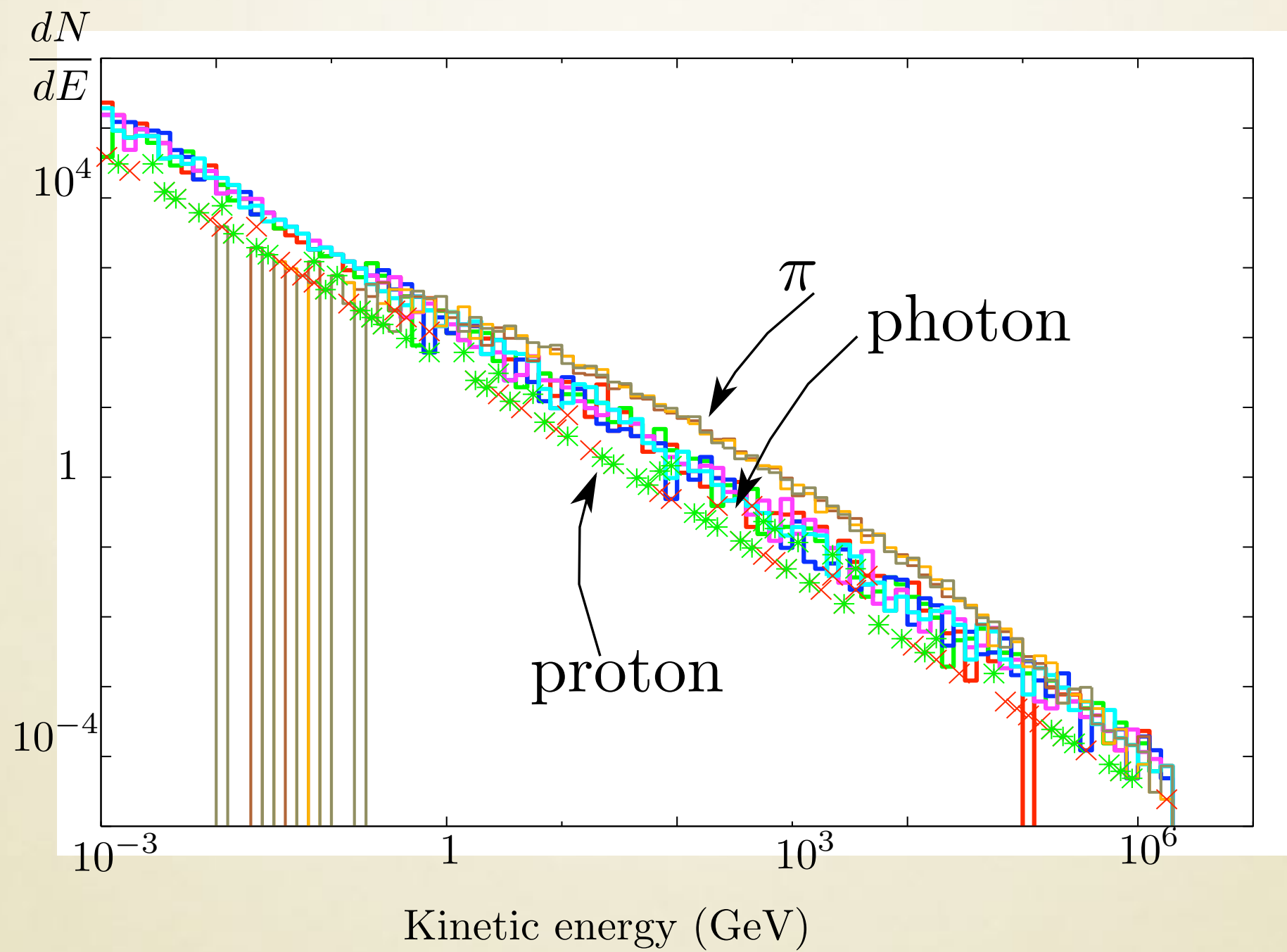
things are rather easy:
smashed skeletons are almost identical



10^{20} eV $E_{\min}=2\times 10^{15}$ eV; 1534303 ptcls

cpu#	cpuPW	Sum E	# of ptcls
1	1.0	0.9827795E+08	1535
2	1.0	0.9827795E+08	1536
3	1.0	0.9827795E+08	1536
4	1.0	0.9827795E+08	1536
5	1.0	0.9827795E+08	1535
...			
995	1.0	0.9827795E+08	1536
996	1.0	0.9827795E+08	1536
997	1.0	0.9827795E+08	1536
998	1.0	0.9827795E+08	1536
999	1.0	0.9827795E+08	1535



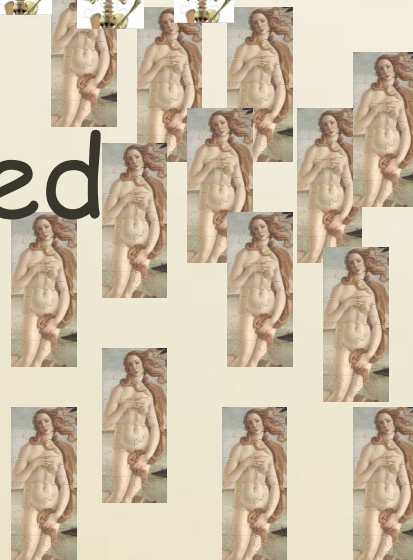


Virtual (Quasi) Full M.C at 10^{20} eV



500 skeleons

50's are fleshed



Assemble Thinning

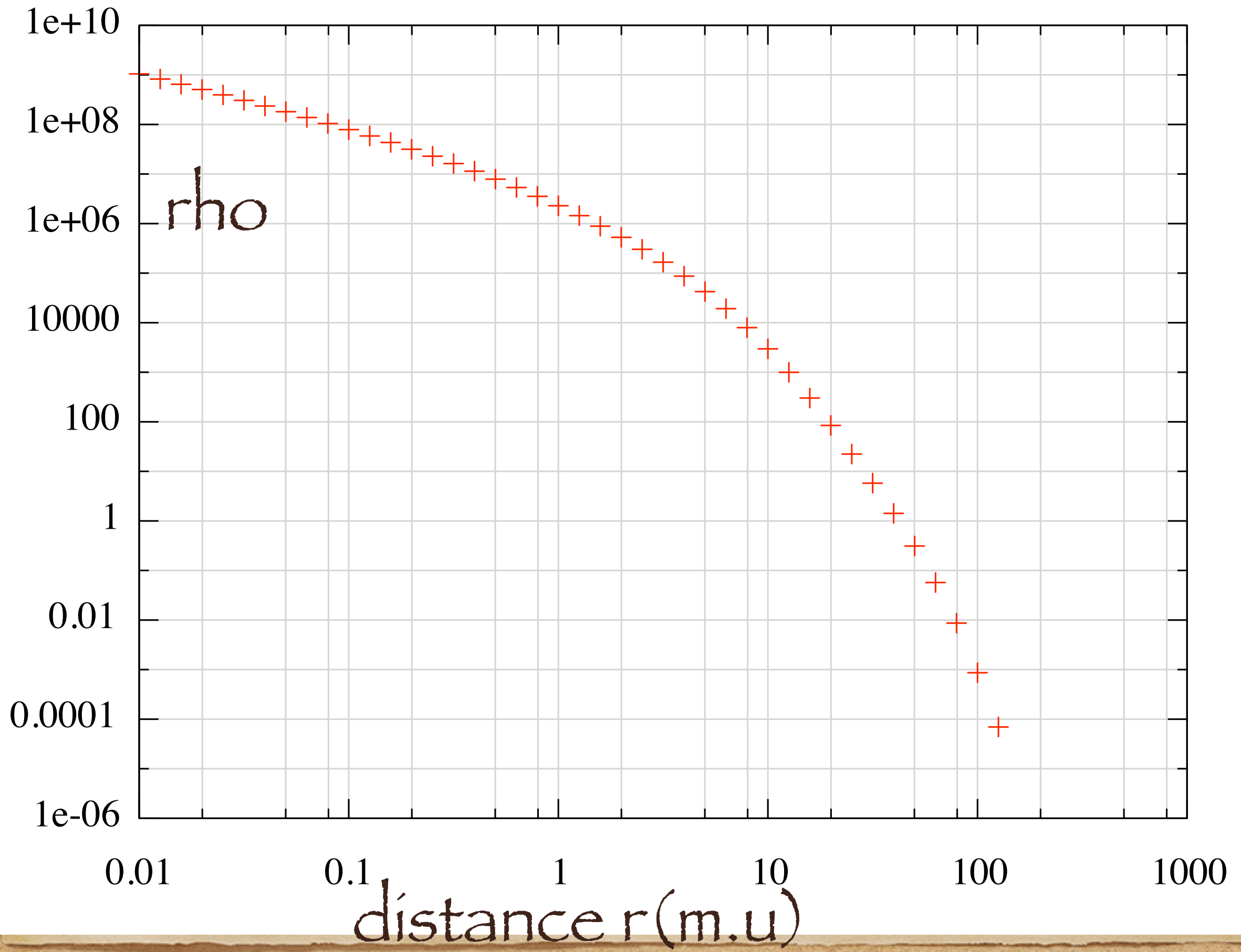
No weighted ptcl's

- (Virtual) Full M.C with $E_{\text{min}}=500$ keV is possible at the GZK energies.
- One or at most several showers with a given primary energy and angle
- Actually we need $\sim 10^3$ showers for a given condition

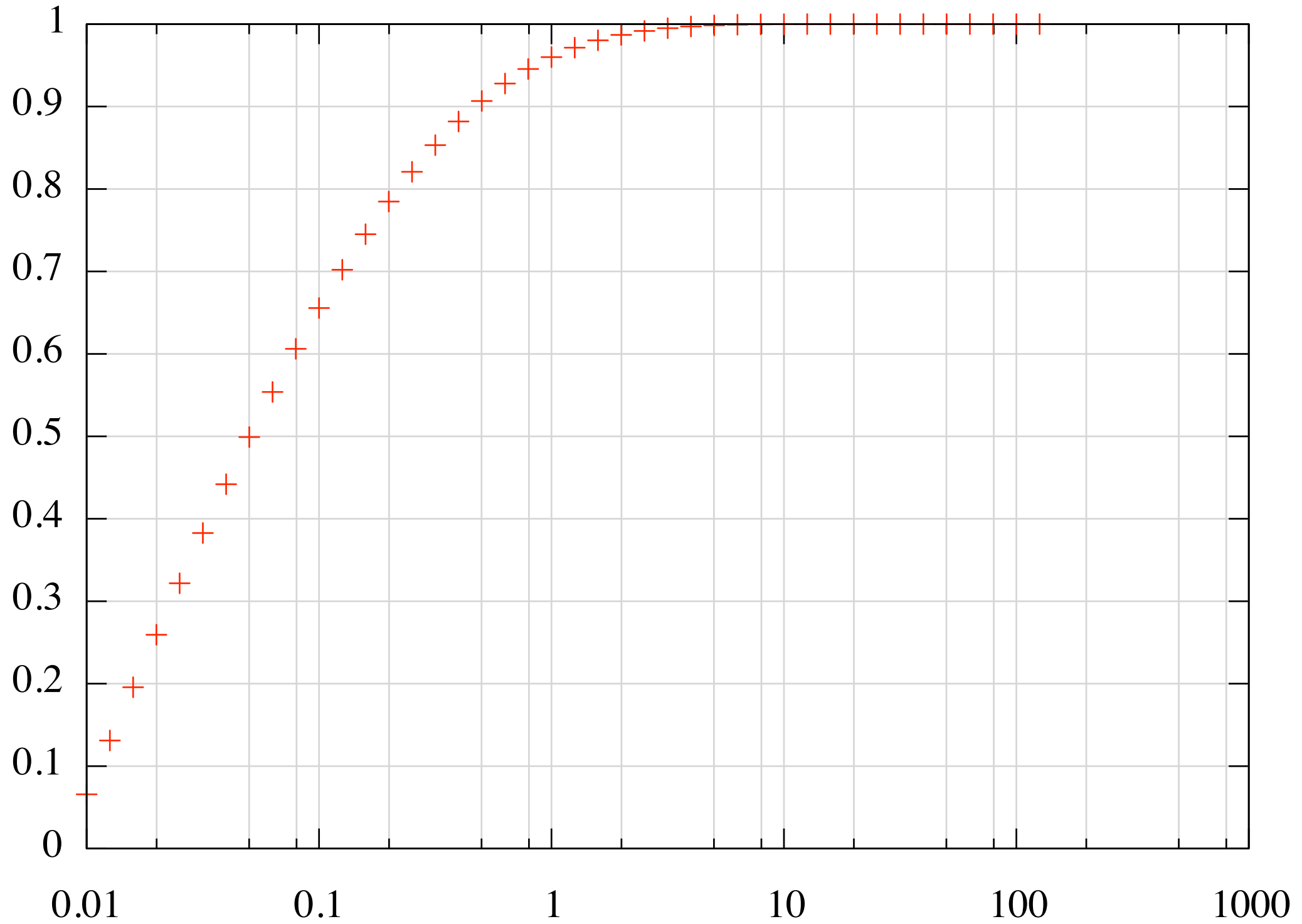
Is such a small number of showers valuable ?

yes !

- Thin sampling for transition: 10^3 showers
- Particle properties can be extracted from F.M.C results
- Model dependence: difference of particle numbers and transition



$N_g(<r)$



Distance r (m.u.)

Particle decay

- The concept of decay constant:

The density of atmosphere at height, h , is roughly expressed as

$$\rho = \rho_0 e^{-\frac{h}{h_0}}$$

Since the atmospheric depth, z , is also roughly proportional to ρ , it is also such a function. h_0 is called the scale height of the atmosphere and can be regarded as a measure to express the thickness (height) of the atmosphere.

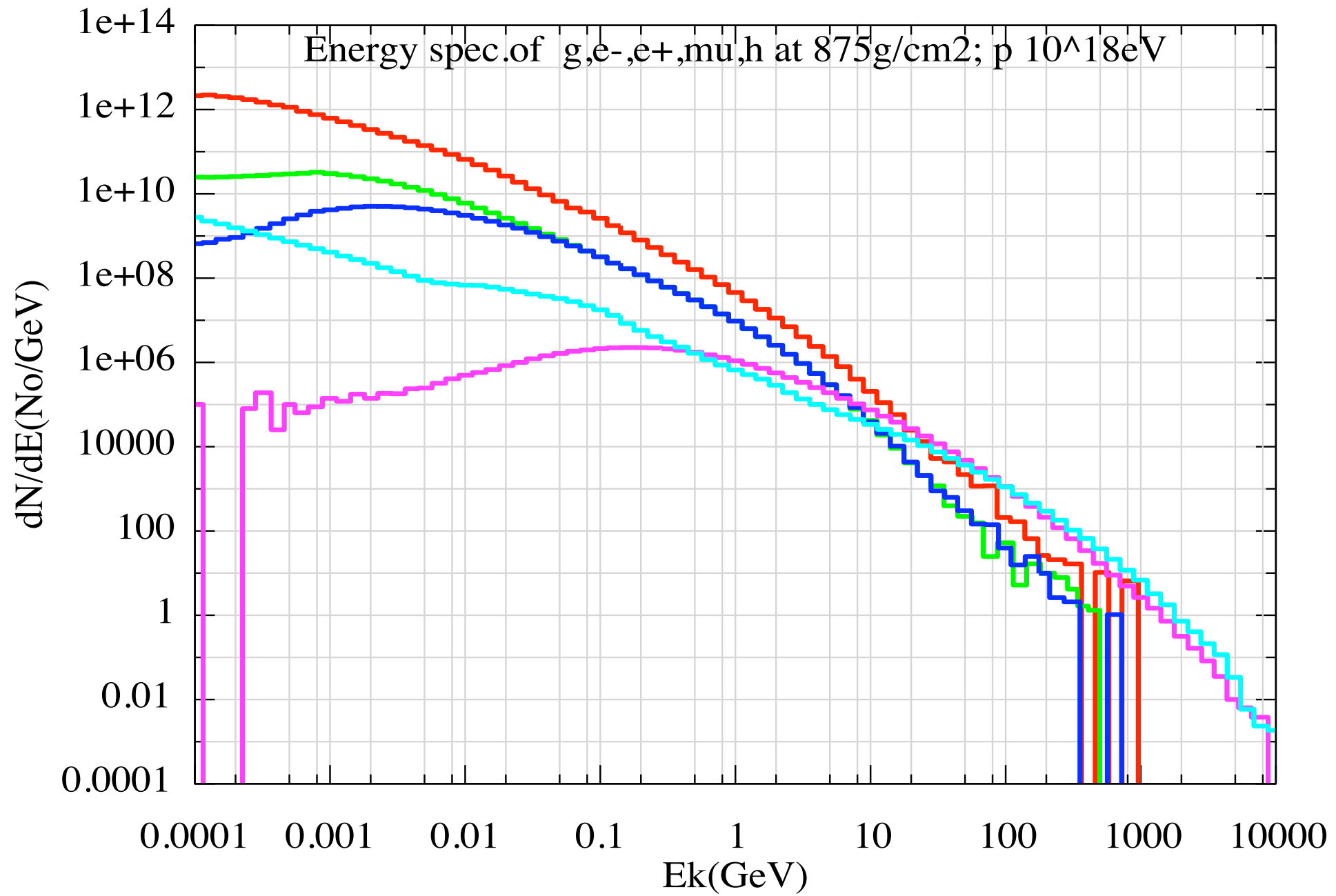
The value of h_0 is $6.5 \sim 8.5$ km, although it should be constant for an ideal isothermal atmosphere (kT/Mg).

Suppose a particle of mass m , proper decay time τ runs in the atmosphere with momentum, p (gamma factor γ and $\beta = 1 - 1/\gamma^2$). If $h_0 > c\beta\gamma\tau$, the particle will tend to decay before reaching the earth surface. While if $h_0 < c\beta\gamma\tau$, it will be difficult for the particle to decay. Since $p = m\gamma\beta c$, $h_0 = c\beta\gamma\tau$ is re-written as $h_0 = p\frac{\tau}{m}$ or $p = h_0\frac{m}{\tau} \equiv b$. If $p > b$, the particle decay is less probable. b is called the decay constant. At high energies we may regard momentum as energy, and we may express it in energy. Some important **rough** numbers:

	mass (GeV)	$c\tau$ (m)	b (GeV)
μ	0.1	600	1.5
π^\pm	0.14	8	150
π^0	0.14	25×10^{-9}	$5 \times 10^{19}(\text{eV})$
K^\pm	0.5	4	500

Some conclusions from this table:

- Muon energy spectrum bends below few GeV.
- Since major muon source is π , muon spectrum tends to steepen over 150 GeV. Major source changes to K .
- At ultra high energy, even π^0 cannot decay and tends to collide with air. No source of high energy photons so that the LPM will not work efficiently in proton primary showers.



Energy spec.of g,e-,e+,mu,h at 875g/cm2; p 10¹⁸eV

