

# Lightning Protection of the Artemis Spacecraft

**Advisor: Edgar A Bering, PhD**  
University of Houston

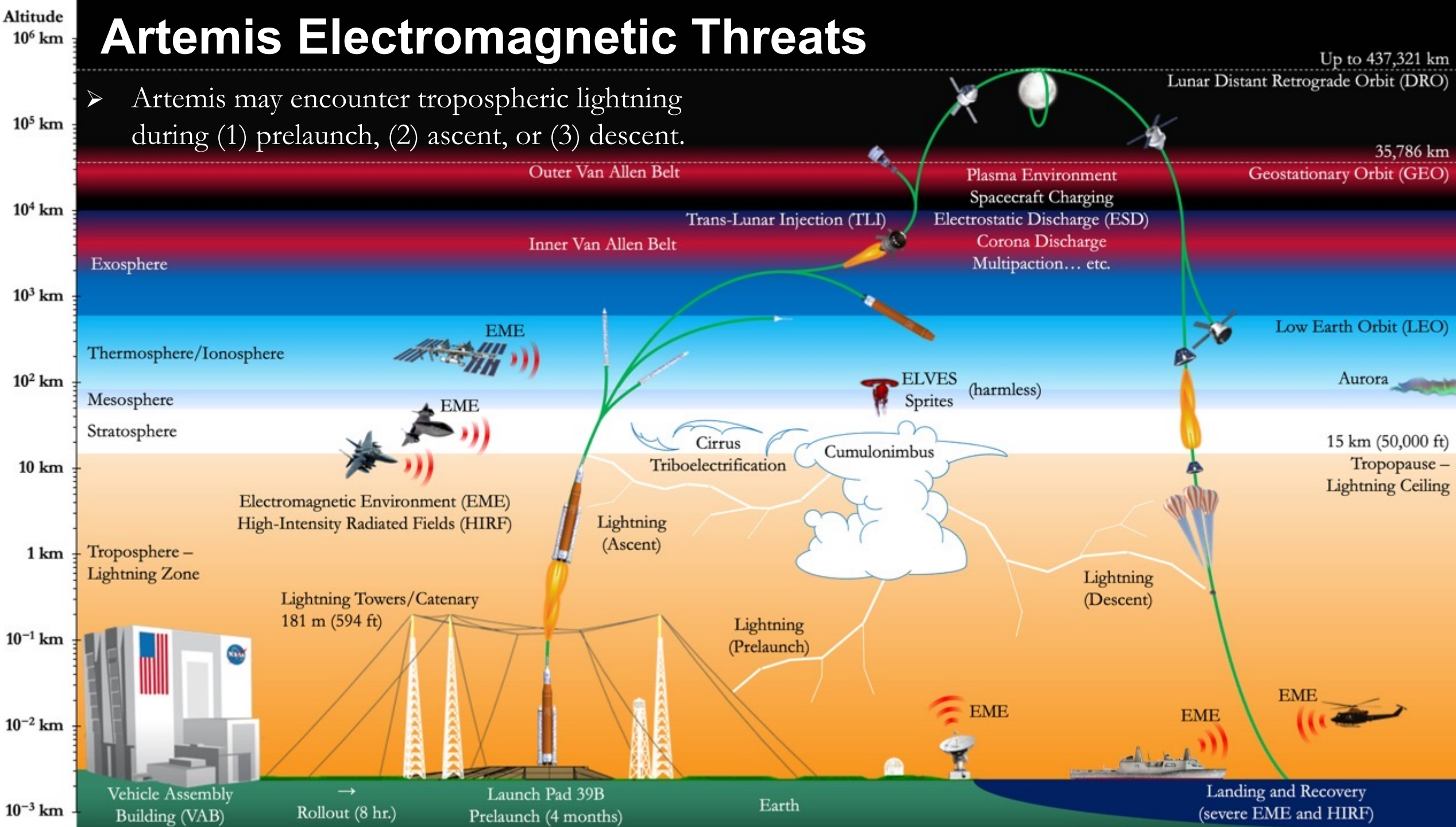
**Student: Nathan S Roberts, PhD Candidate**  
NASA Johnson Space Center (JSC)  
Electromagnetic Environmental Effects (E3)  
Artemis Lead E3 Engineer  
Orion E3 System Manager

February 18, 2023

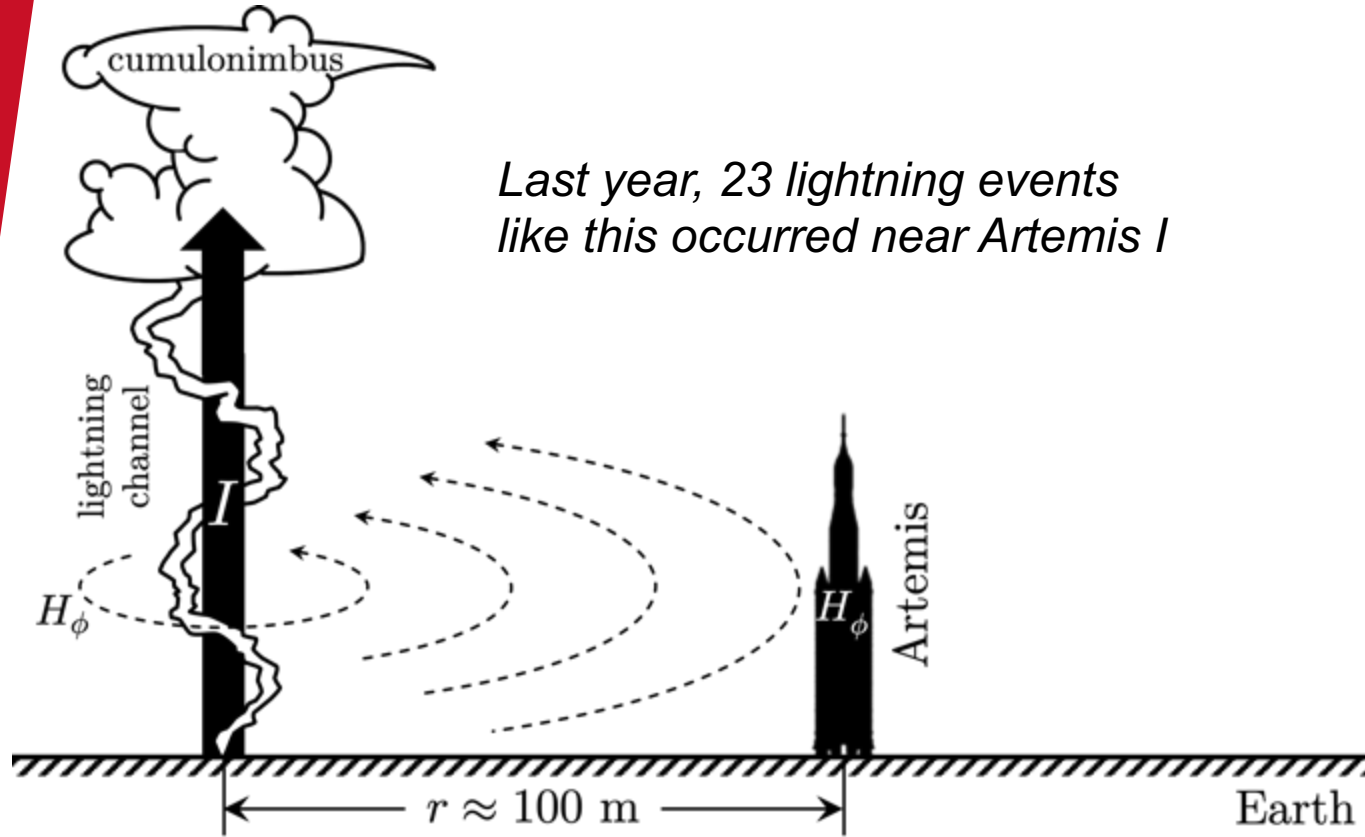


# Artemis Electromagnetic Threats

➤ Artemis may encounter tropospheric lightning during (1) prelaunch, (2) ascent, or (3) descent.



# Simple Magnetostatic Approximation



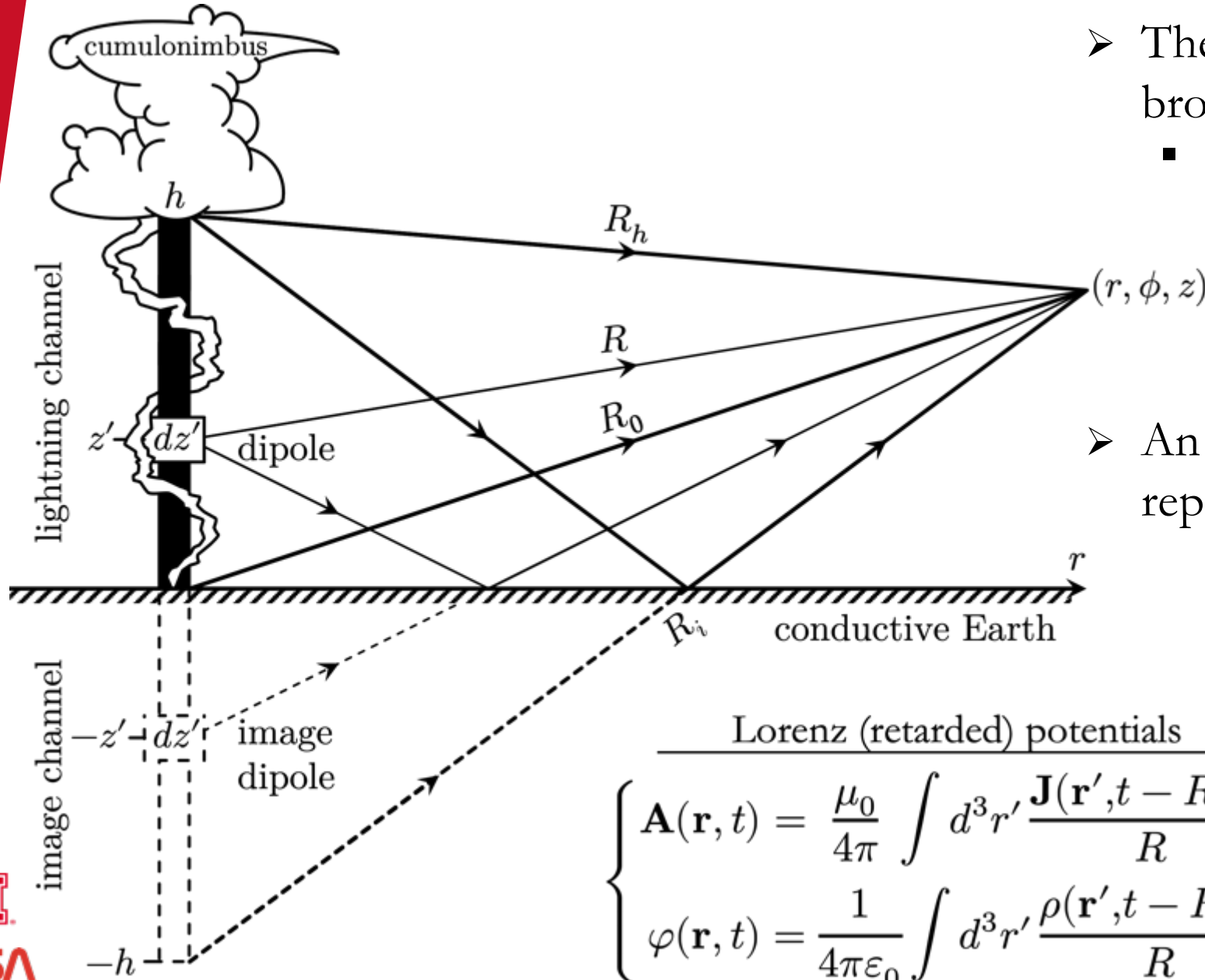
- Assume all of the zigzagging, horizontal components of the lightning channel cancel out.
  - We are left with just a straight vertical wire of current  $I$ .
- Assume the lightning current is constant and lasts forever.
  - But real lightning flashes and disappears within microseconds.
- For a typical peak current of 100,000 A, at 100 m away, Ampere's circuital law gives 159 amperes per meter (A/m).

$$\oint_C \mathbf{H} \cdot d\mathbf{L} = I$$

$$H_\phi = \frac{I}{2\pi r} = \frac{100,000 \text{ A}}{2\pi(100 \text{ m})} \approx 159 \text{ A/m}$$



# Dipole Method of Images I



- The lightning channel is broken into a stack of dipoles.
  - Each current-carrying dipole has an infinitesimal height  $dz'$ .
  
- An image channel of dipoles represents ground reflections.

$$R = \sqrt{r^2 + (z - z')^2}$$

Lorenz (retarded) potentials

$$\begin{cases} \mathbf{A}(\mathbf{r}, t) = \frac{\mu_0}{4\pi} \int d^3r' \frac{\mathbf{J}(\mathbf{r}', t - R/c)}{R} \\ \varphi(\mathbf{r}, t) = \frac{1}{4\pi\epsilon_0} \int d^3r' \frac{\rho(\mathbf{r}', t - R/c)}{R} \end{cases}$$

Lorenz gauge

$$-c^2 \nabla \cdot \mathbf{A} = \frac{d\varphi}{dt}$$

$$= -c^2 \int_0^t dt' \nabla \cdot \mathbf{A} \quad \leftarrow$$

# Dipole Method of Images II

- Derive fields from potentials/gauge introduced by Ludvig Lorenz (1861-1867).
- The resulting integrals are complicated and usually must be solved numerically.
- Only one well-known analytical solution exists in the literature.
  - Rubenstein & Uman (1989) use a Heaviside step function for the source current  $i(z', t)$ .
  - But the step function is not a very realistic lightning current; it stays switched on forever.

$$H_\phi = \underbrace{\frac{1}{4\pi} \int_0^h dz' \frac{r}{R^3} \left[ i \left( z', t - \frac{R}{c} \right) \right]}_{\text{magnetic induction field}} + \underbrace{\frac{1}{4\pi} \int_0^h dz' \frac{r}{cR^2} \frac{\partial}{\partial t} \left[ i \left( z', t - \frac{R}{c} \right) \right]}_{\text{magnetic radiation field}}$$

$$E_r = \underbrace{\frac{1}{4\pi\epsilon_0} \int_0^h dz' \frac{3r(z-z')}{R^5} \int_{\frac{R+z'}{c}}^t dt' \left[ i \left( z', t' - \frac{R}{c} \right) \right]}_{\text{electrostatic field}}$$

$$+ \underbrace{\frac{1}{4\pi\epsilon_0} \int_0^h dz' \frac{3r(z-z')}{cR^4} \left[ i \left( z', t - \frac{R}{c} \right) \right]}_{\text{electric induction field}}$$

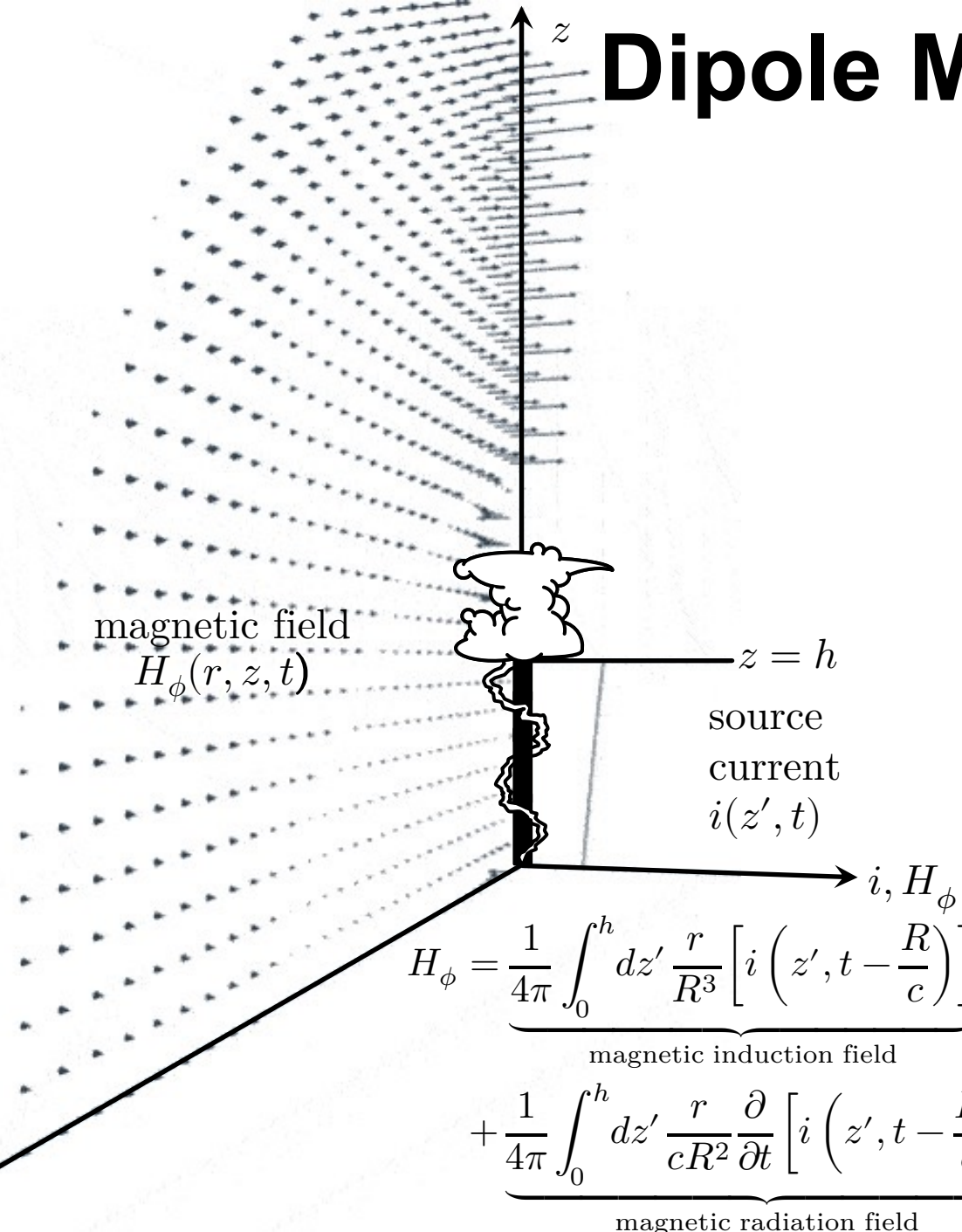
$$+ \underbrace{\frac{1}{4\pi\epsilon_0} \int_0^h dz' \frac{r(z-z')}{c^2 R^3} \frac{\partial}{\partial t} \left[ i \left( z', t - \frac{R}{c} \right) \right]}_{\text{electric radiation field}}$$

$$E_z = \underbrace{\frac{1}{4\pi\epsilon_0} \int_0^h dz' \frac{2(z-z')^2 - r^2}{R^5} \int_{\frac{R+z'}{c}}^t dt' \left[ i \left( z', t' - \frac{R}{c} \right) \right]}_{\text{electrostatic field}}$$

$$+ \underbrace{\frac{1}{4\pi\epsilon_0} \int_0^h dz' \frac{2(z-z')^2 - r^2}{cR^4} \left[ i \left( z', t - \frac{R}{c} \right) \right]}_{\text{electric induction field}}$$

$$- \underbrace{\frac{1}{4\pi\epsilon_0} \int_0^h dz' \frac{r^2}{c^2 R^3} \frac{\partial}{\partial t} \left[ i \left( z', t - \frac{R}{c} \right) \right]}_{\text{electric radiation field}}$$

# Dipole Method of Images III

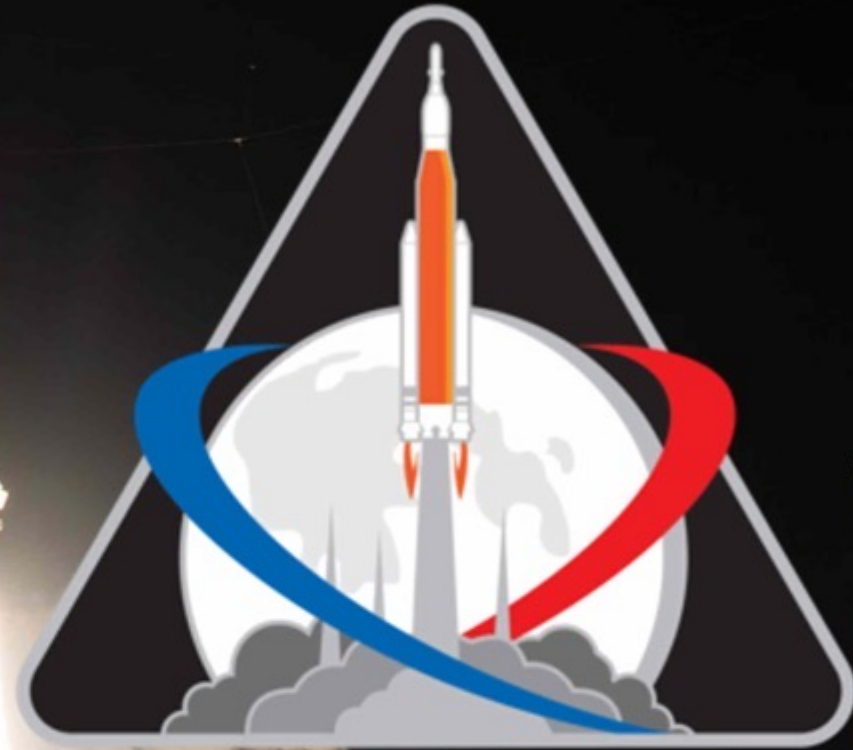


- We are working to publish a paper with new exact solutions that decay more naturally.
  - We often gain significant insight from purely analytical solutions.
  - Enables us to more easily manipulate variables and plot diagrams like the one at left.
  
- But analytical solutions are too simple for more complicated geometries or assumptions.
  - We find numerical/computational methods very convenient for more specific problems.
  - We will take advantage of Finite Element Method (FEM) modeling in the Time Domain (FETD).



# Artemis I

- 3 lightning protection towers watch over Artemis as it prepares for launch.
- These iconic towers are featured on the Artemis I mission patch.





# Launch Pad 39B



DC9  
DC8

Catenary

DC7

Catenary

DC6

DC5

Flight-out Pentagon

DC4

T3

Down Conductor #1 (DC1)

DC2

Lightning Protection Tower #1 (T1)

Artemis I Spacecraft

Space Launch System (SLS)

Orion

DC3

Mobile Launcher (ML)

DC1

T2

Water Tower



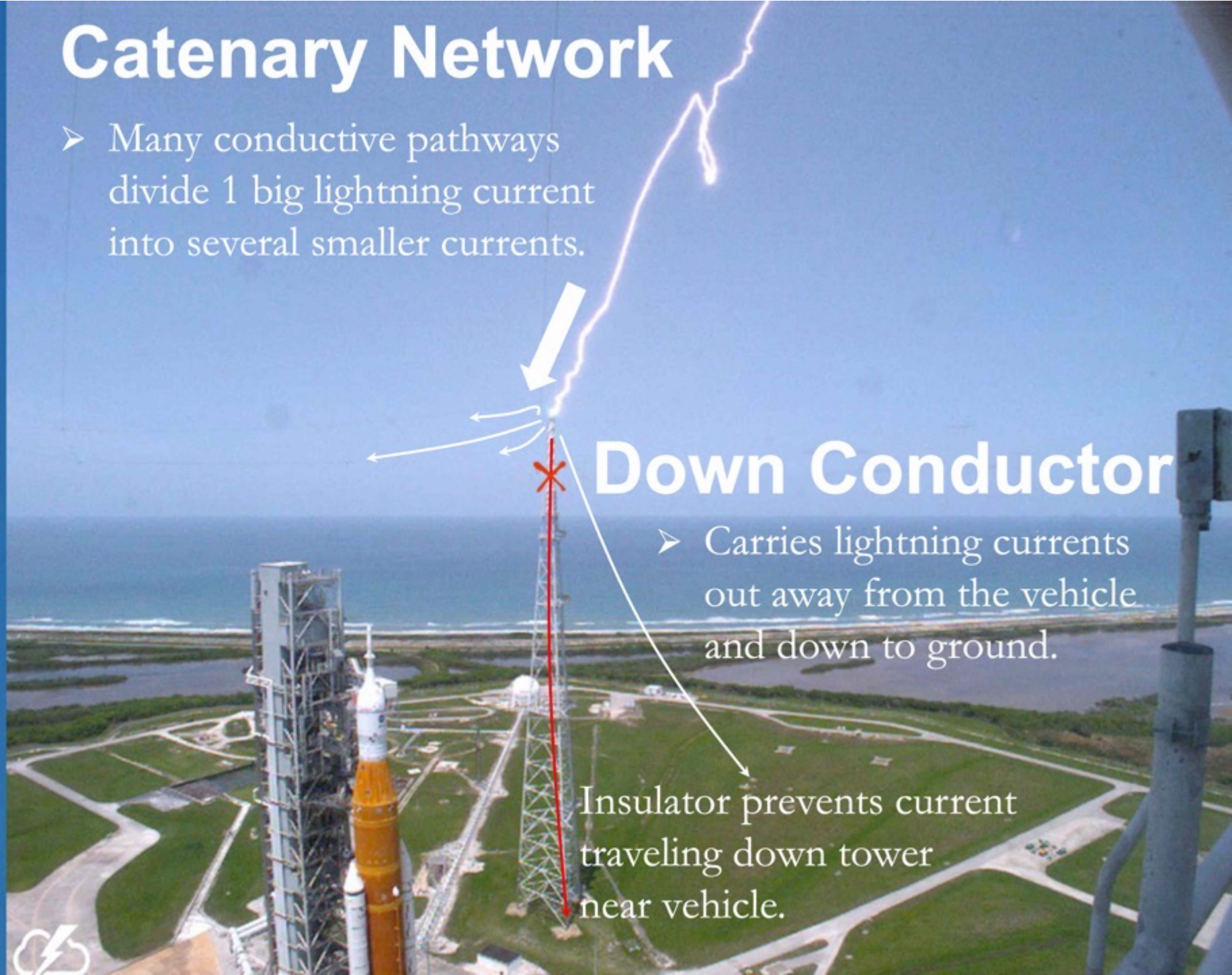
# Insulator

- Fiberglass to prevent electric current flow.
- Helical strakes help stabilize tower during high winds.
  - Reduces force from vortex shedding.



# Catenary Network

- Many conductive pathways divide 1 big lightning current into several smaller currents.



# Down Conductor

- Carries lightning currents out away from the vehicle and down to ground.

Insulator prevents current traveling down tower near vehicle.





# Original Image

can be cloudy and dark during a thunderstorm



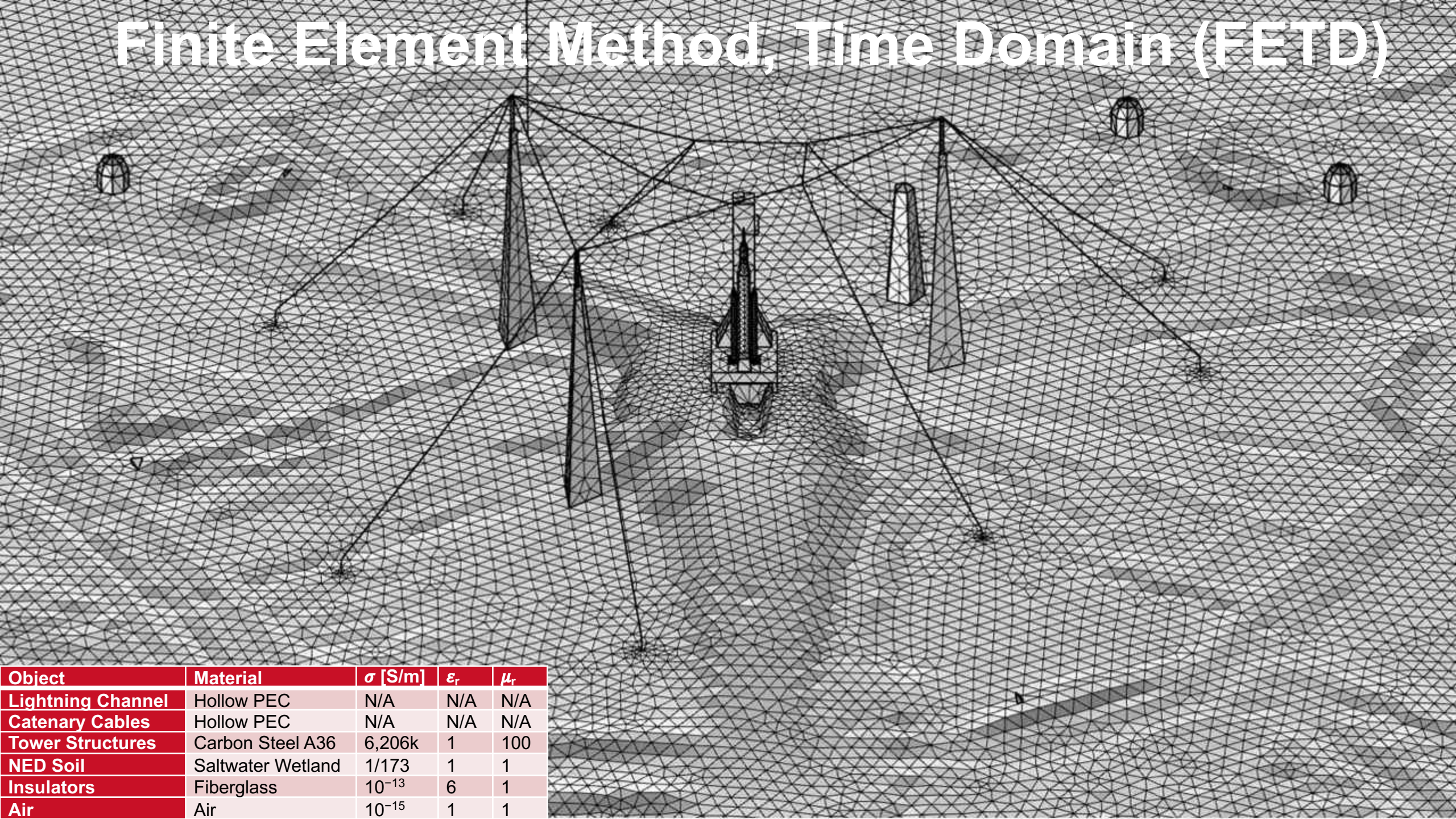
# Luminance Channel

superimposed over clear-skies image





# Finite Element Method, Time Domain (FETD)



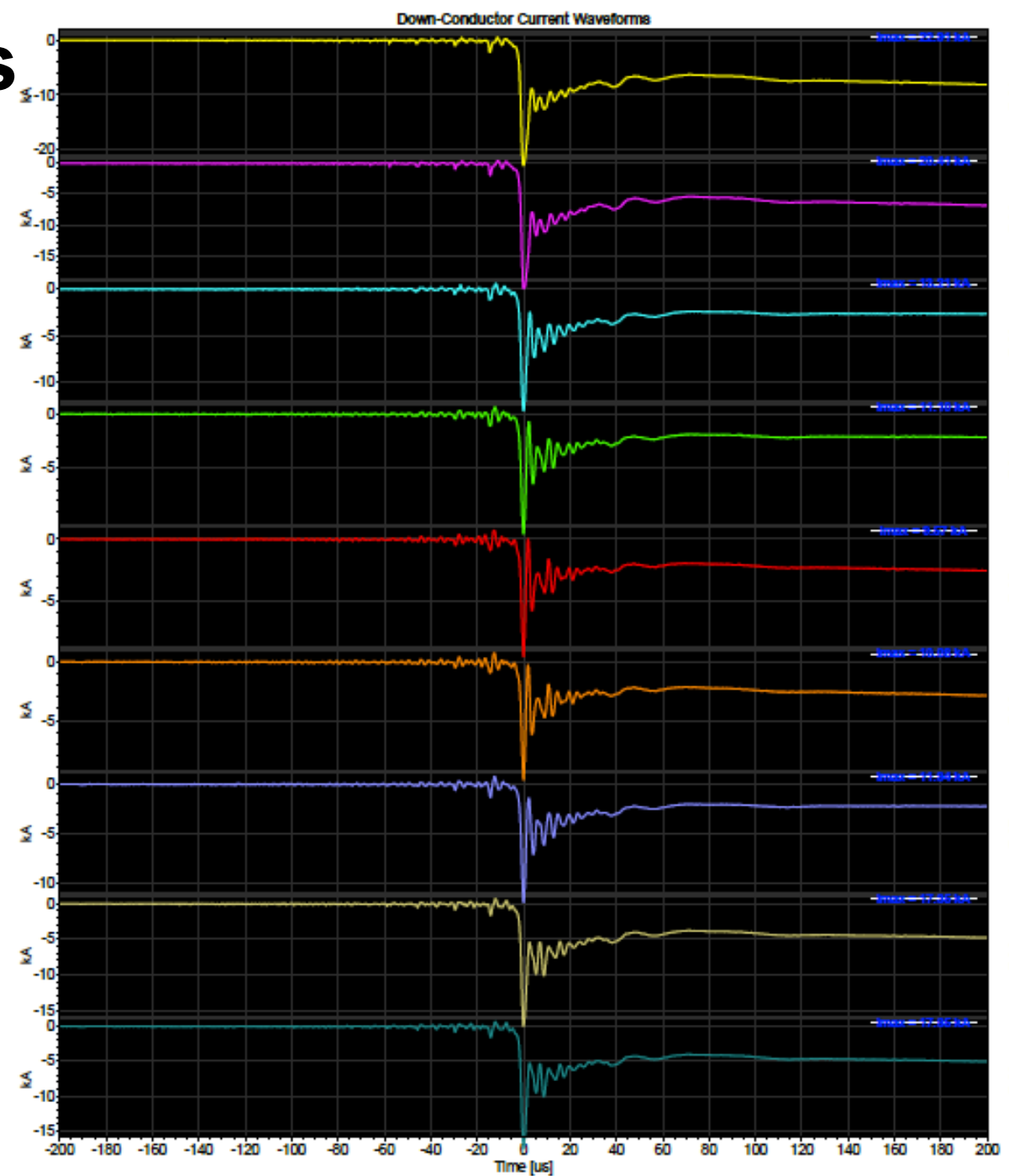
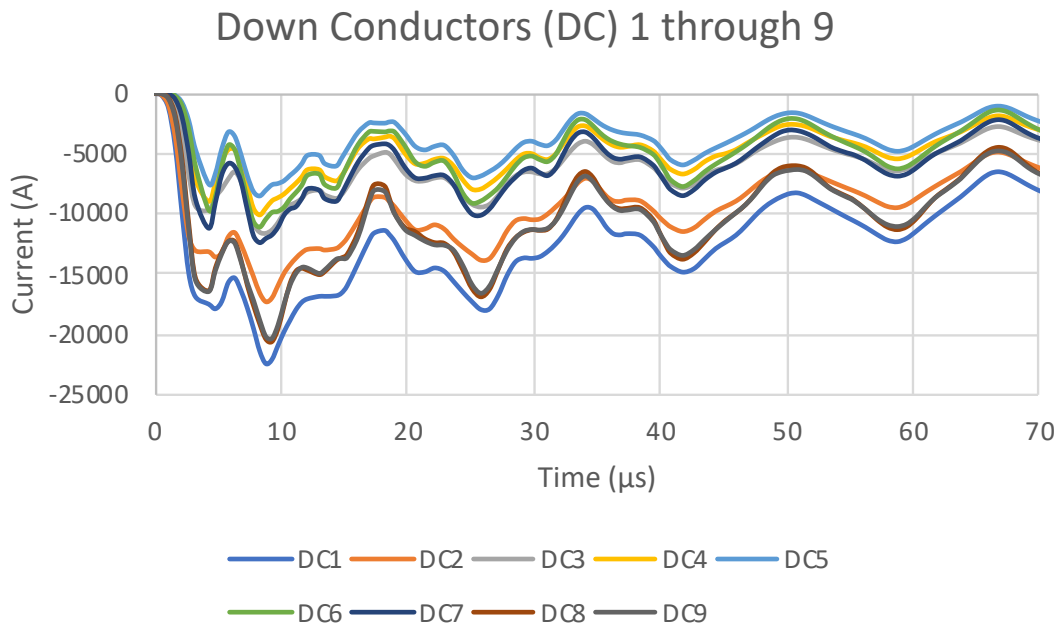
Object	Material	$\sigma$ [S/m]	$\epsilon_r$	$\mu_r$
Lightning Channel	Hollow PEC	N/A	N/A	N/A
Catenary Cables	Hollow PEC	N/A	N/A	N/A
Tower Structures	Carbon Steel A36	6,206k	1	100
NED Soil	Saltwater Wetland	1/173	1	1
Insulators	Fiberglass	$10^{-13}$	6	1
Air	Air	$10^{-15}$	1	1



# Down Conductor Results

- The peak values and waveforms are in reasonable agreement with the measured data.

Peak Values	Measured	Calculated
DC1	-22910 A	-22365 A
DC2	-20410 A	-17362 A
DC3	-13210 A	-11522 A
DC4	-11100 A	-9977 A
DC5	-9570 A	-8615 A
DC6	-10080 A	-11002 A
DC7	-11940 A	-12429 A
DC8	-17350 A	-20631 A
DC9	-17650 A	-20319 A



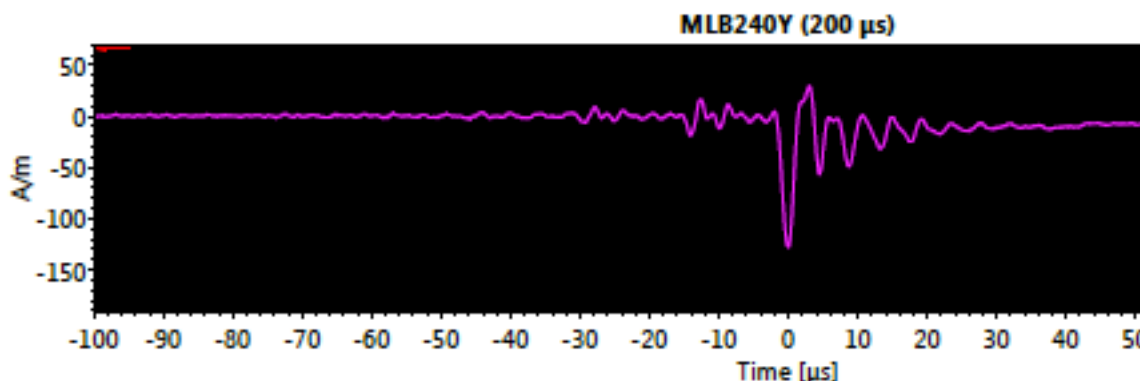
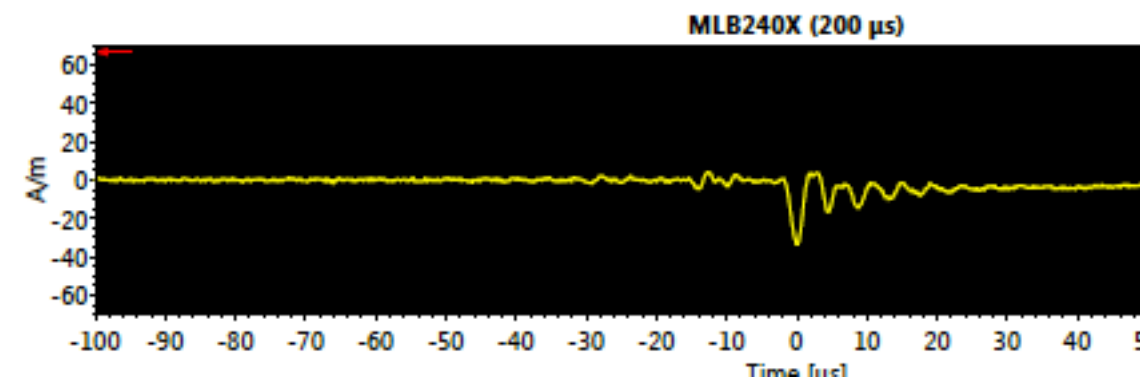
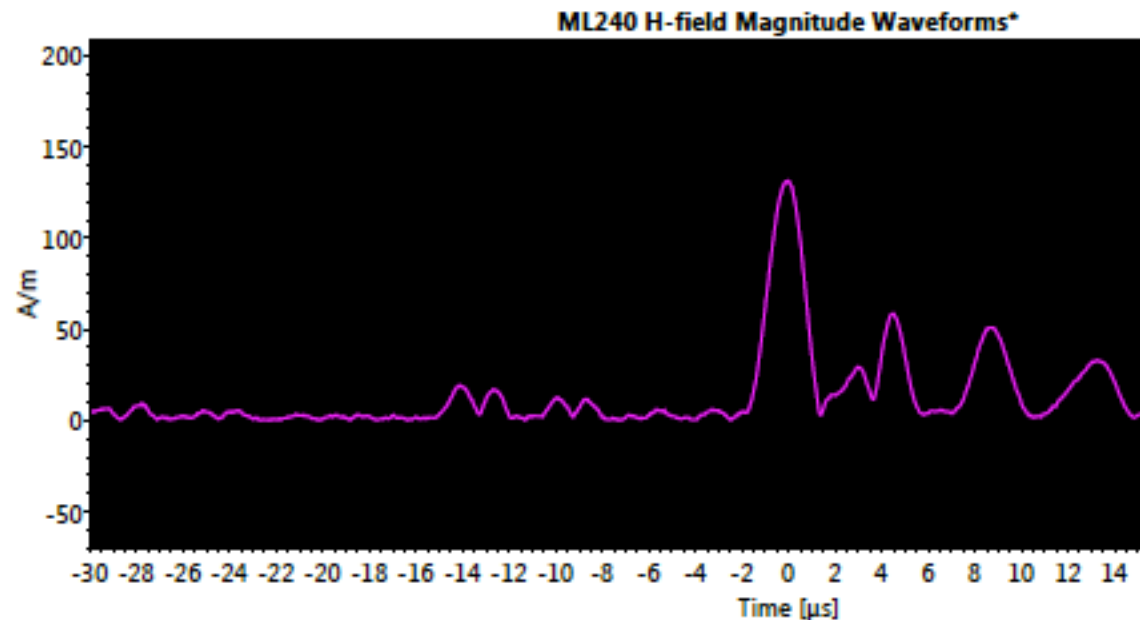
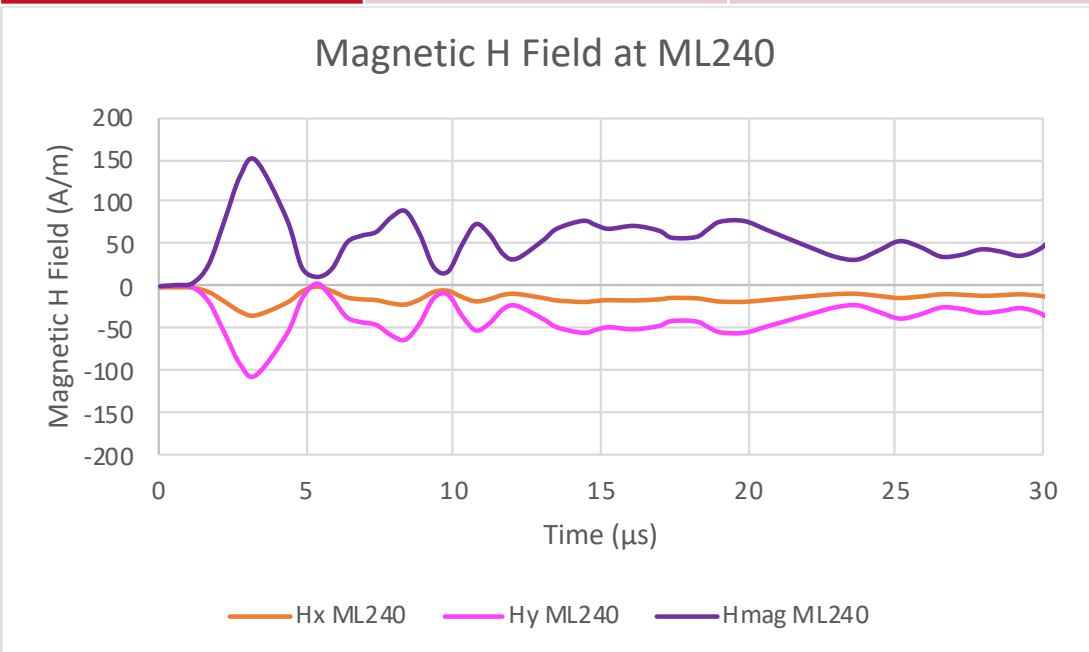
Recording: WX\_LCS9B\_20220402\_001\_Sweep011\_COPY Trigger: 04/02/2022 21:31:20.328823 (UT)



# ML240 Magnetic Field

- Some of the main questions about this strike:
  - Was the ML240 magnetic field really that high?
  - Were the ML240 sensors in error?
  
- Our model confirms that the magnetic fields were really that high!

Peak Values	Measured	Calculated
Hx ML240	-34.34 A/m	-34.67 A/m
Hy ML240	-128.32 A/m	-105.69 A/m
Hmag ML240	+131.81 A/m	+149.12 A/m





# Questions?

