

High-Density QCD with Proton and Ion Beams

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Recap of the first lecture

Different stages of heavy-ion collisions (high-energy/weak-coupling picture)

Hadronization and particle escape

$t > 10 \text{ fm}/c$

Fluid expansion

$t \sim 1 - 10 \text{ fm}/c$

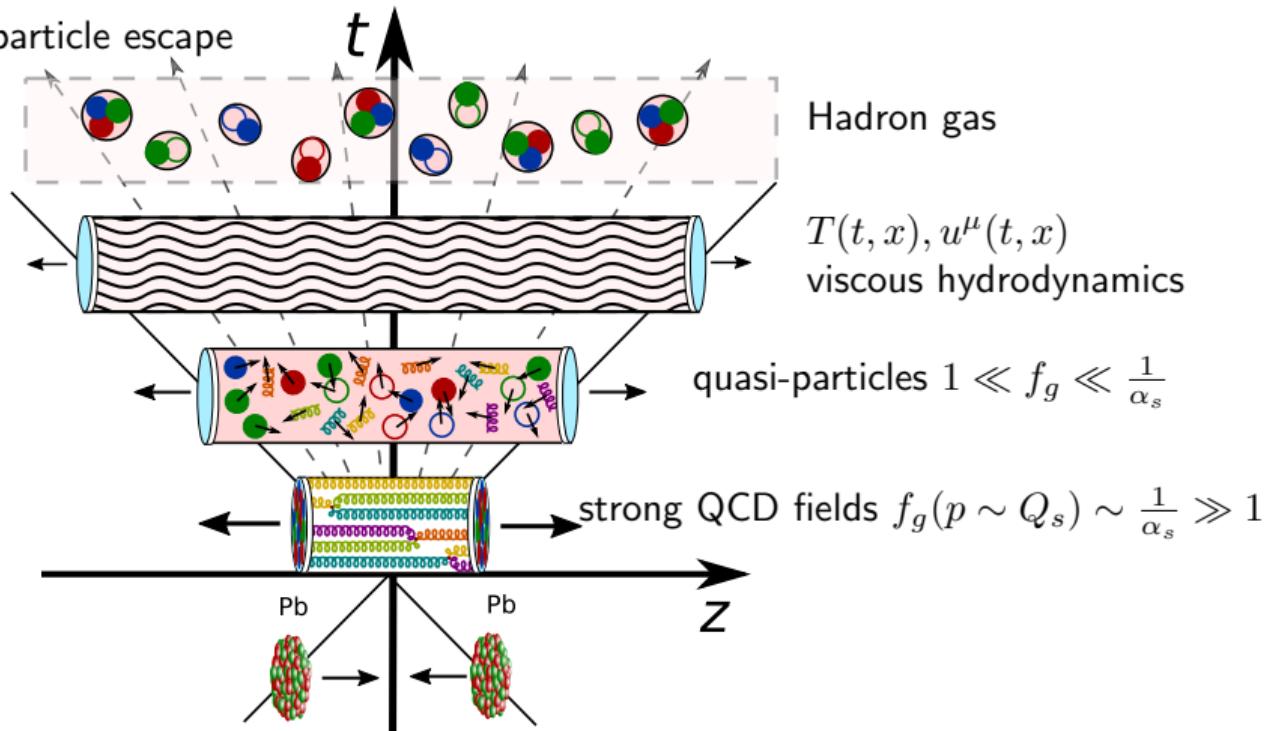
Equilibration

$t \sim 1 \text{ fm}/c$

Initial state

$t \ll 1 \text{ fm}/c$

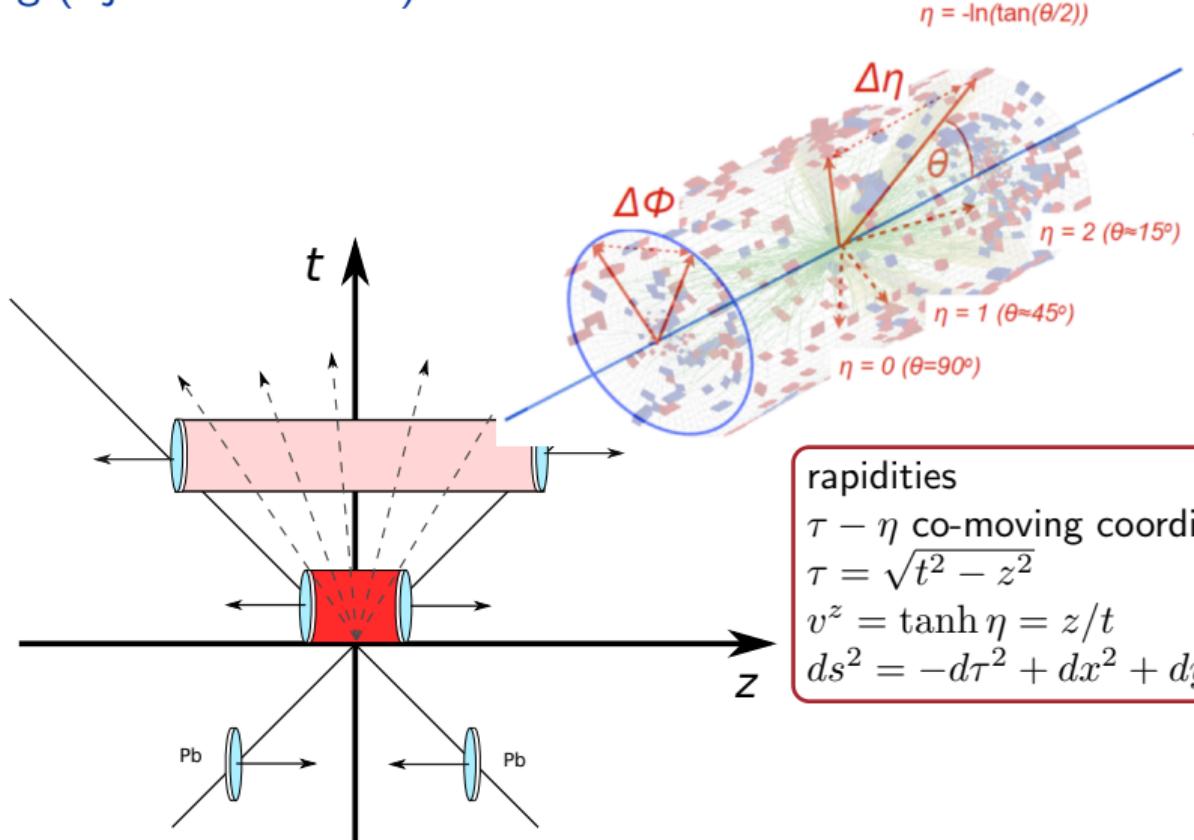
Incoming nuclei



- HI collisions create high-density deconfined state of matter \Rightarrow Quark-Gluon Plasma.
- Rapid QCD thermalisation \Rightarrow applicability of fluid dynamic picture

Relativistic viscous hydrodynamics

Co-moving (Bjorken or Milne) coordinates



We will discuss mid-rapidity region $\eta \approx 0$.

Ideal hydrodynamics

- Energy-momentum tensor for ideal fluid at rest:

$$T_{\text{rest}}^{\mu\nu} = \begin{pmatrix} e & 0 & 0 & 0 \\ 0 & p & 0 & 0 \\ 0 & 0 & p & 0 \\ 0 & 0 & 0 & p \end{pmatrix} \implies \Lambda_\rho^\mu(u) \Lambda_\sigma^\nu(u) T_{\text{rest}}^{\rho\sigma} = eu^\mu u^\nu + p(g^{\mu\nu} + u^\mu u^\nu)$$

- e is relativistic energy density, equation of state $p(e)$, u^μ fluid 4-velocity, $u^\mu u_\mu = -1$.
- The energy-momentum conservation is written

$$\partial_\mu T^{\mu\nu} = 0$$

- Ideal equations of motion in a fluid rest-frame

$$\partial_t e = -(e + p) \vec{\nabla} \vec{v}$$

$$\partial_t \vec{v} = -\frac{\vec{\nabla} p}{e + p}$$

- *Change in energy is driven by expansion $\theta = \partial_\mu u^\mu = \vec{\nabla} \cdot \vec{v}$!*
- *Change in velocity driven by gradients in pressure $\vec{\nabla} p$!*

Bjorken solution

- Let's find a hydro solution in Bjorken coordinates
- Fluid velocity $u^\mu = (1, 0, 0, 0)$, $\theta = \partial_\mu u^\mu = \frac{1}{\tau}$
- Energy density evolution

$$\frac{\partial e}{\partial \tau} = -\frac{e+p}{\tau}.$$

- For pressureless (free-streaming) expansion $p = 0$

$$e = e_0 \left(\frac{\tau_0}{\tau} \right).$$

- For ideal (conformal) QGP $p = \frac{1}{3}e$

$$e = e_0 \left(\frac{\tau_0}{\tau} \right)^{4/3}.$$

Faster decrease due to longitudinal work

$$ds^2 = -d\tau^2 + dx^2 + dy^2 + \tau^2 d\eta^2.$$

$$v^z = \frac{z}{t} = \tanh \eta.$$

$$\tau = t \quad \text{at} \quad \eta = 0.$$

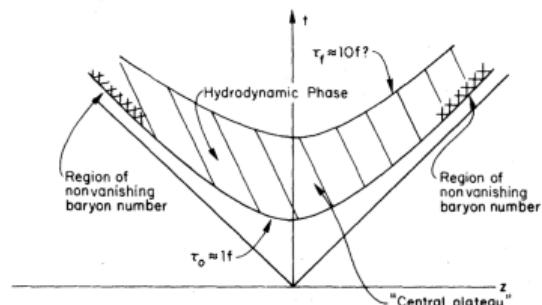


FIG. 3. Space-time diagram of longitudinal evolution of the quark-gluon plasma.

Bjorken (1982) [1]

Relativistic viscous hydrodynamics

- Gradient corrections to the energy momentum tensor

$$T_{1st}^{\mu\nu} = T_{\text{ideal}}^{\mu\nu} + \Pi(g^{\mu\nu} + u^\mu u^\nu) + \pi^{\mu\nu}$$

- Viscous corrections: allowed gradients in fluid field

$$\text{shear tensor } \pi^{\mu\nu} = -\eta \partial^{(\mu} u^{\nu)}$$

$$\text{bulk pressure } \Pi = -\zeta \partial_\mu u^\mu$$

- η – shear viscosity, ζ bulk viscosity, positive quantities, properties of the medium.
- Effect of viscous corrections for 1D boost-invariant expansion ($e + p = sT$)

$$\frac{\partial e}{\partial \tau} = -\frac{e + p - \frac{4}{3}\frac{\eta}{\tau} - \frac{\zeta}{\tau}}{\tau} = -\frac{e + p}{\tau} \left(1 - \frac{4}{3}\frac{\eta/s}{T\tau} - \frac{\zeta/s}{T\tau}\right).$$

Energy drops slower in viscous fluid (entropy production).

- At high temperature QCD ($g \ll 1$): $\eta/s \approx 5.11/(g^4 \log \frac{2.4}{g})$
- For infinitely strongly coupled supersymmetric theories: $\eta/s = \frac{1}{4\pi} \approx 0.08$

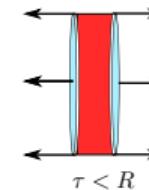
Viscosity per entropy $\eta/s, \zeta/s$ are key transport properties of QGP.

Beyond conventional gradient expansion: hydrodynamic attractors

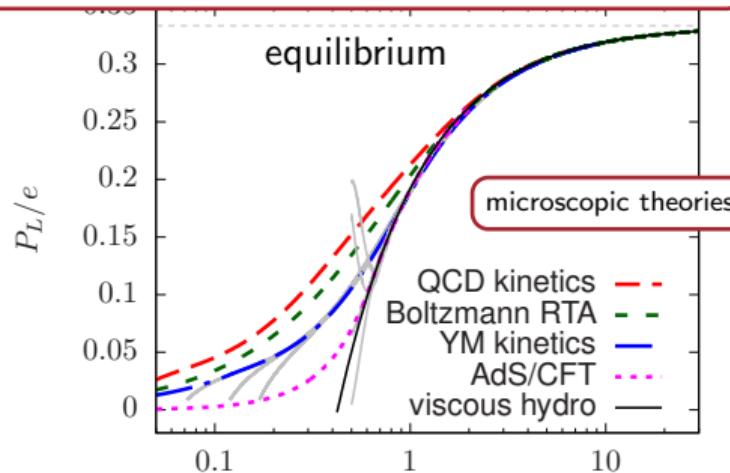
Pressure anisotropy collapse to a *hydrodynamic attractor*

Heller, Janik, Witaszczyk (2011)

$$\frac{\tau \partial_\tau e}{e} = -\frac{4}{3} + \underbrace{\frac{16}{9} \frac{\eta/s}{\tau T}}_{\text{1st gradient}} \dots = -1 - \frac{P_L}{e} \left[\tilde{w} = \frac{\tau T}{4\pi\eta/s} \right]$$



pressure anisotropy in longitudinal expansion



$$\tilde{w} = \tau T_{\text{eff}} / (4\pi\eta/s)$$

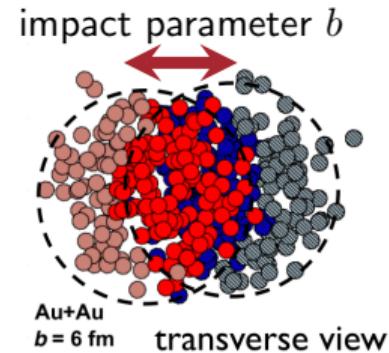
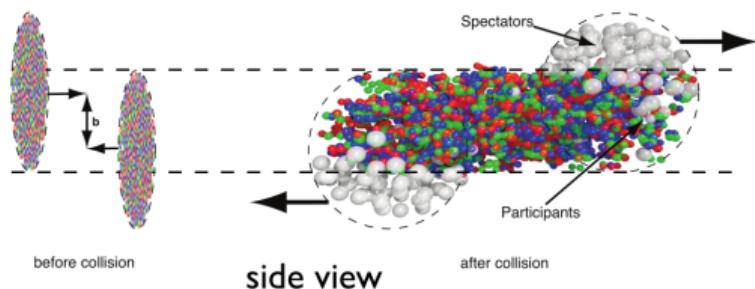
Giacalone, AM, Schlichting, (2019)

Hydrodynamic attractor \Rightarrow the universality and simplification of non-equilibrium evolution.

Experimental signals of QGP formation: collective flow

Transverse geometry and centrality

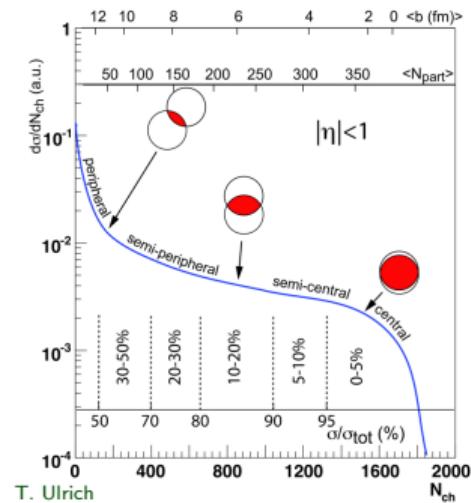
see Miller, Reygers, Sanders and Steinberg (2007) [2]



Not all nucleons participate in a collision.

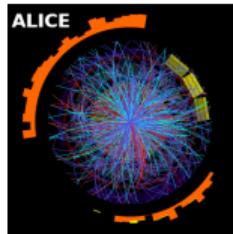
- Monte-Carlo Glauber model of nucleons inside nuclei
- More colliding nucleons N_{part} if b is small.
- Larger $N_{\text{part}} \Rightarrow$ more produced particles.
- Order events in multiplicity (centrality) classes
- 0-5% centrality \Rightarrow most head on collisions.

Strong correlation between initial geometry and particle multiplicity \Rightarrow select events with different geometry/size.

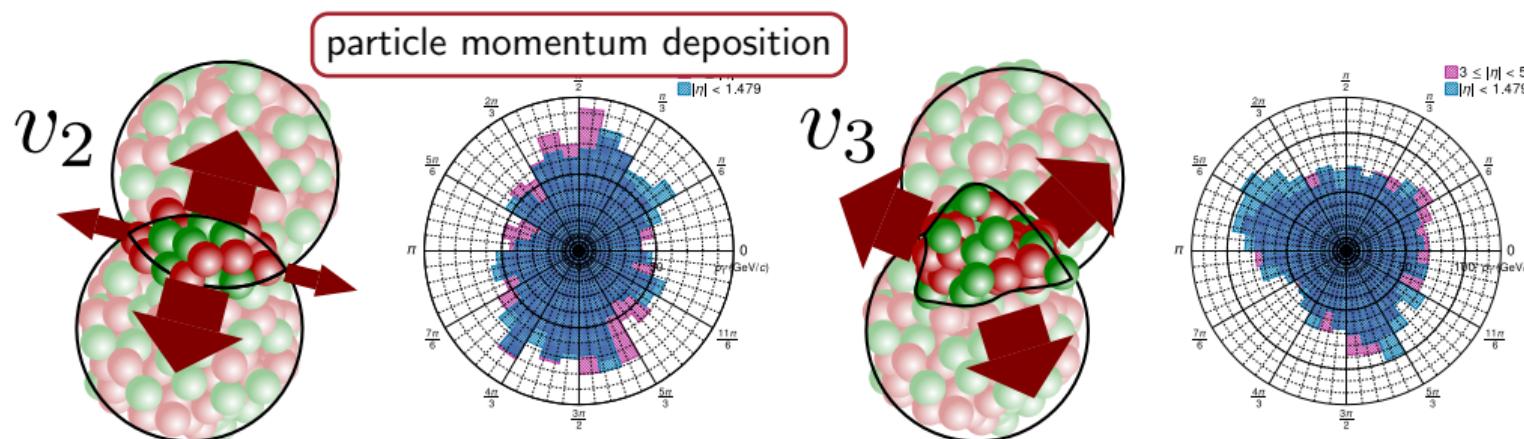
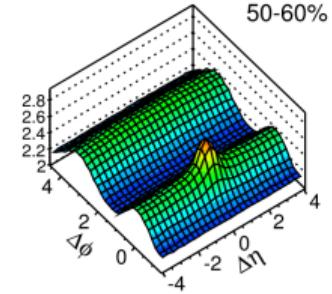


Multiparticle collective flows

Produced particles show significant angular modulations v_n in the azimuthal angle ϕ



$$\frac{dN}{d\phi} = \frac{N}{2\pi} (1 + 2v_2 \cos(2\phi) + 2v_3 \cos(3\phi) \dots)$$



CMS Detector Performance Plots [3]

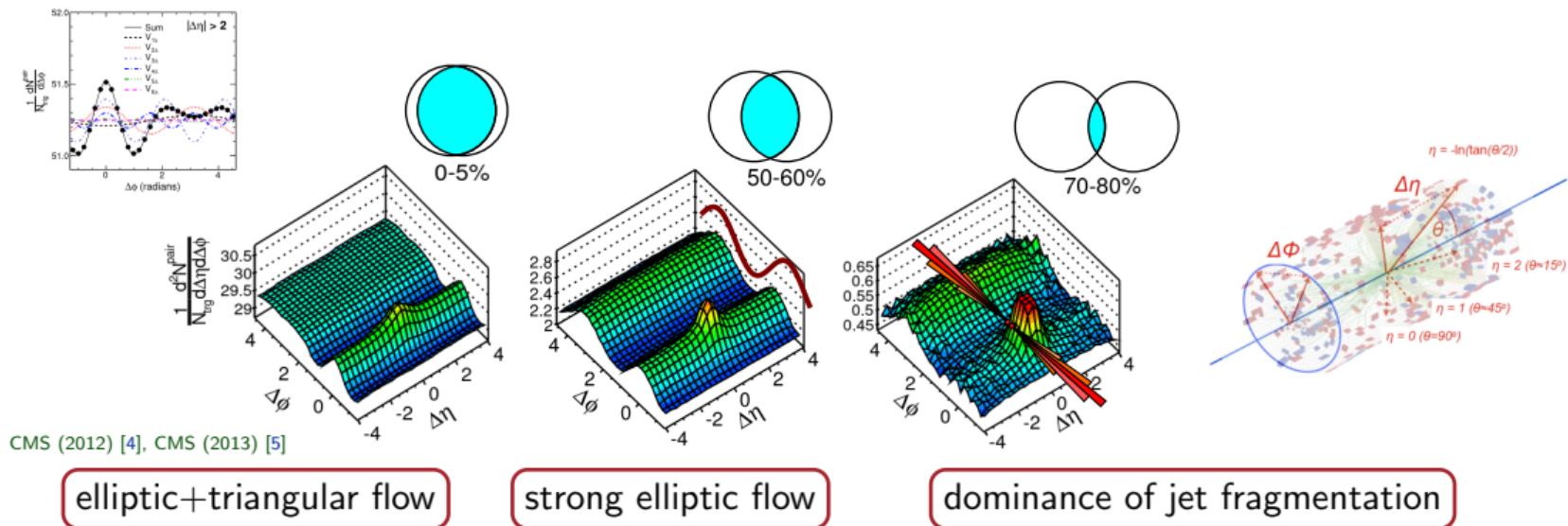
Collective particle flow is explained by pressure gradient driven transverse QGP expansion.

Two-particle correlations — near-side and away-side ridges

Practical way of quantifying collective flows – two-particle correlation function

$$\left\langle \frac{dN}{d\phi_1} \frac{dN}{d\phi_2} \right\rangle \propto 1 + 2 \sum_n v_n^2 \cos(n\Delta\phi).$$

Also generalizes to multi-particle correlations (8-particle v_n 's measured).

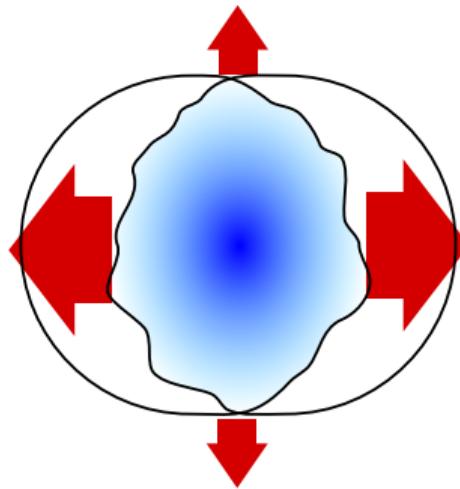
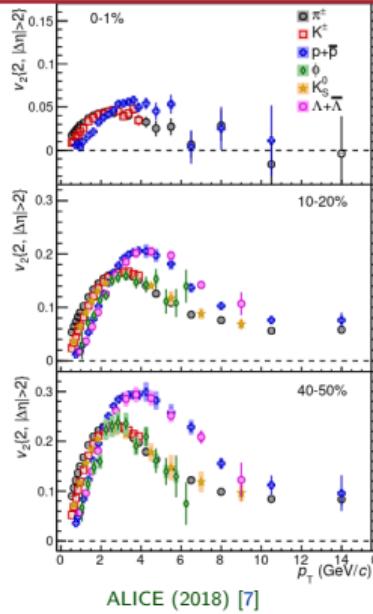
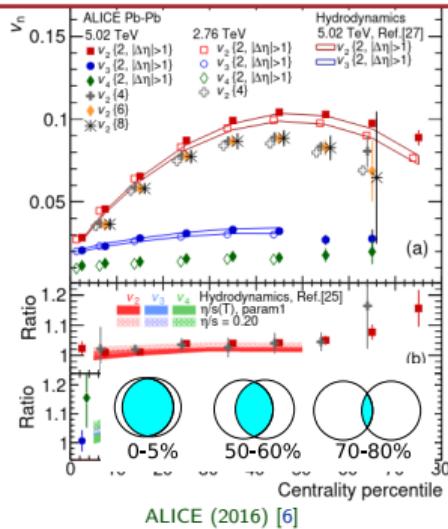


Collective flow correlations are long-ranged $|\Delta\eta| > 1$ – must be sourced by initial state.

Centrality and momentum dependence of flow coefficients

p_T and particle species dependence

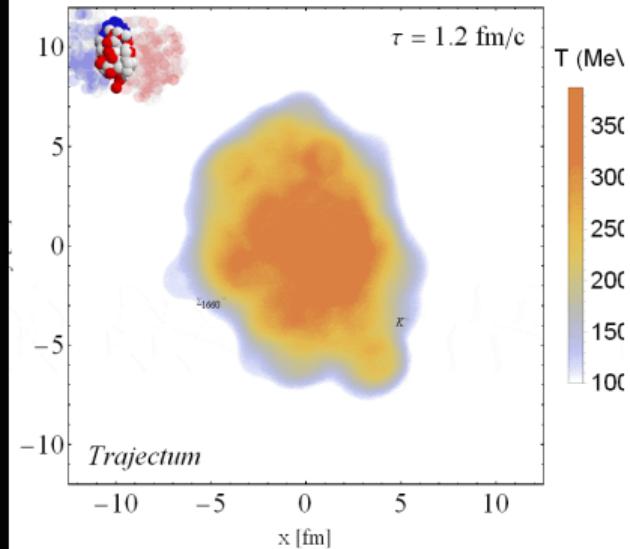
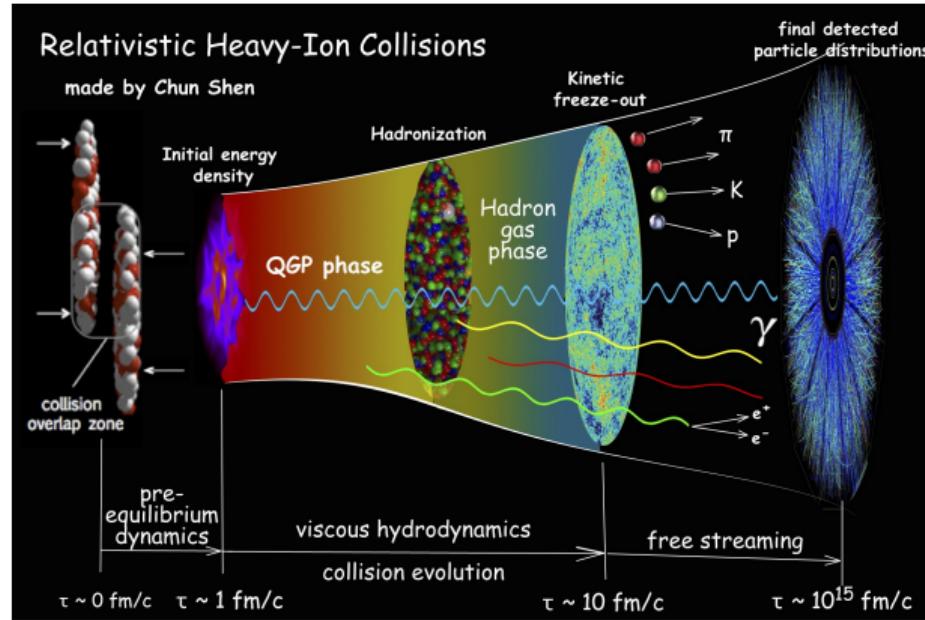
centrality dependence of v_n



- Strong elliptic flow in mid-central events \implies overlap geometry
- v_3, v_4 with weak centrality dependence \implies fluctuations in geometry
- Mass ordering of $v_n(p_T)$ \implies radial flow velocity $p_T \sim mv_T$

Standard hydrodynamic model of little Big Bang

- Multi-stage 2D/3D viscous hydrodynamic codes are widely available.
- Initial conditions and transport properties have to be constrained by data.

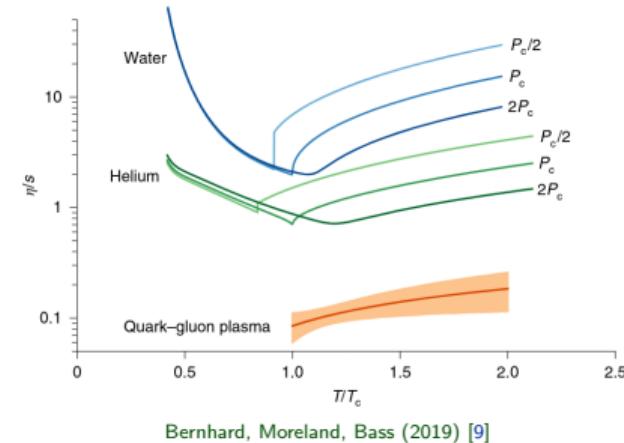
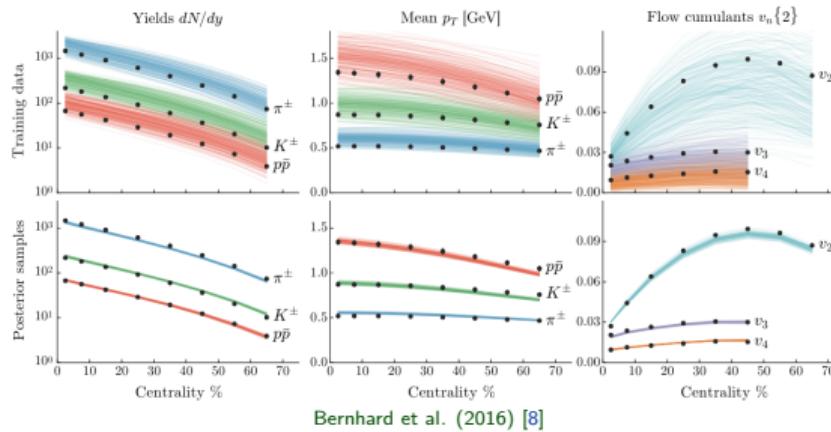


QGP properties from Bayesian parameter estimation

- Thousands of sample points in parameter space \times thousands of events
- Construct the posterior distributions for model parameters

$$\underbrace{P(\text{parm}_i | \text{data})}_{\text{posterior}} \sim \underbrace{P(\text{data} | \text{parm}_i)}_{\text{likelihood}} \underbrace{P(\text{parm}_i)}_{\text{prior}}.$$

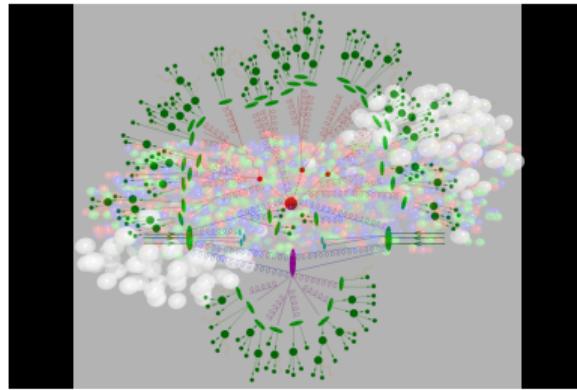
$$P(\text{data} | \text{parm}_i) \sim \exp [-\Delta_i (\Sigma^{-1})_{ij} \Delta_j], \Delta = \text{data} - \text{model}$$



Extracted physical parameters of QGP, e.g. $\eta/s \sim 0.08 - 0.2$ – smallest of all fluids.

Experimental signals of QGP formation: modification of hard probes

Hard Standard Model processes embedded in nuclear environment



Self-generated probes of QGP

- Examples: high- p_T jets or hadrons, heavy quarks, W, Z, γ
- Characteristic timescale $\Delta t \sim 1/Q \ll 1\text{fm}$ for $Q \gg T \sim 1\text{GeV}$
- Hard probe are produced before the formation of the medium.

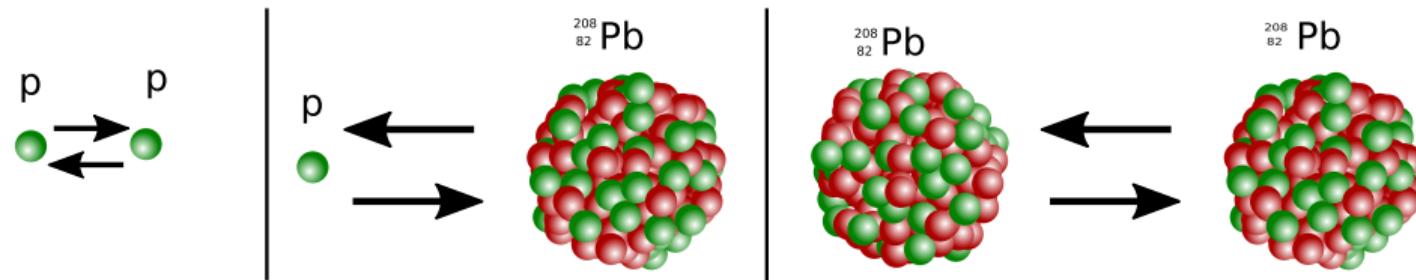
We use the modification of hard probes to understand high-density QCD.

QCD factorisation in nuclear collisions

In the absence of medium, hard cross-sections can be calculated order by order:

$$\sigma(P_1, P_2) = \sum_{i,j} \int_0^1 dx_1 dx_2 \underbrace{f_i(x_1, Q^2) f_j(x_2, Q^2)}_{\text{long distance}} \underbrace{\hat{\sigma}_{ij}(x_1 P_1, x_2 P_2, Q^2)}_{\text{short distance}}.$$

- $\hat{\sigma}_{ij}$ – hard partonic cross-section, universal, systematically improvable
- $f_i(x, Q^2)$ – parton distribution functions (PDFs), process-independent, non-perturbative, extracted by global fits to various cross-sections.



- *Nuclear PDFs are different from proton PDF — need separate extraction.*

Nuclear modification factor R_{AA}

- Quantify nuclear effects by normalizing hard spectra in heavy-ions (AA) to pp

$$R_{AA} = \frac{dN_{AA}/dp_T}{\langle N_{\text{coll}} \rangle dN_{pp}/dp_T}.$$

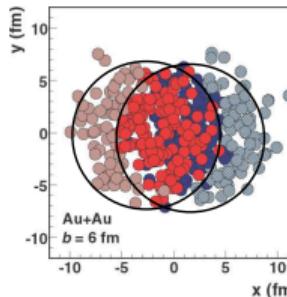
- $\langle N_{\text{coll}} \rangle$ – number of binary nucleon-nucleon collisions. Hard partonic luminosity $\propto N_{\text{coll}}$



$$N_{\text{part}} = 4 \quad N_{\text{coll}} = 3$$

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$\langle N_{\text{coll}} \rangle$ estimated by Monte-Carlo Glauber models.

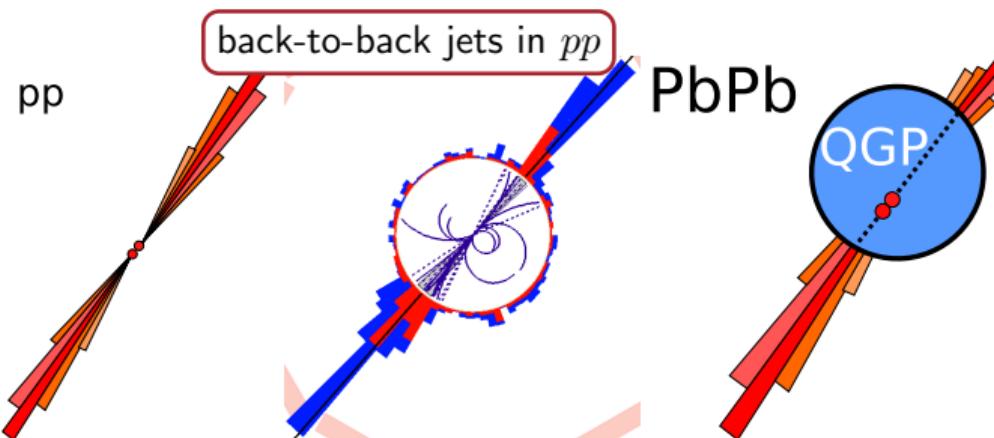


- In the absence of medium effects expect $R_{AA} \approx 1$ (up to nPDF and isospin corrections).

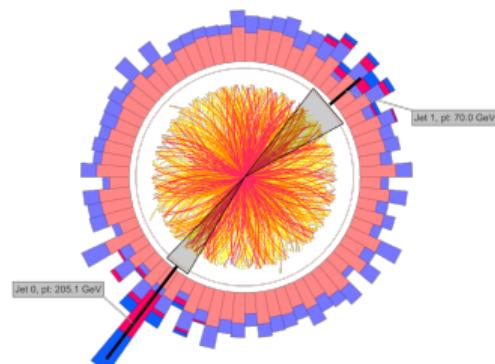
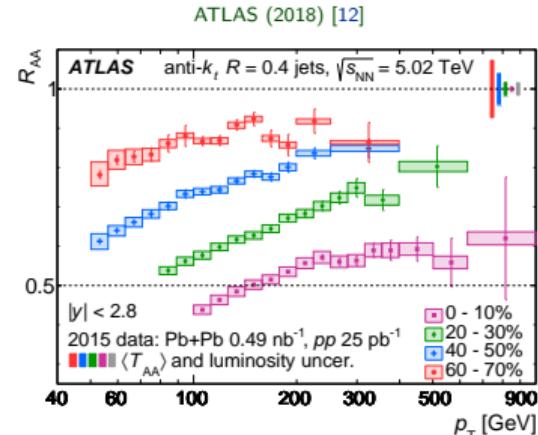
High- p_T parton energy loss — jet quenching

Jet spectrum is suppressed in nuclear collisions compared to proton-proton collisions

$$R_{AA} = \frac{dN_{AA}^j/dp_T}{N_{\text{coll}} dN_{pp}^j/dp_T} < 1$$

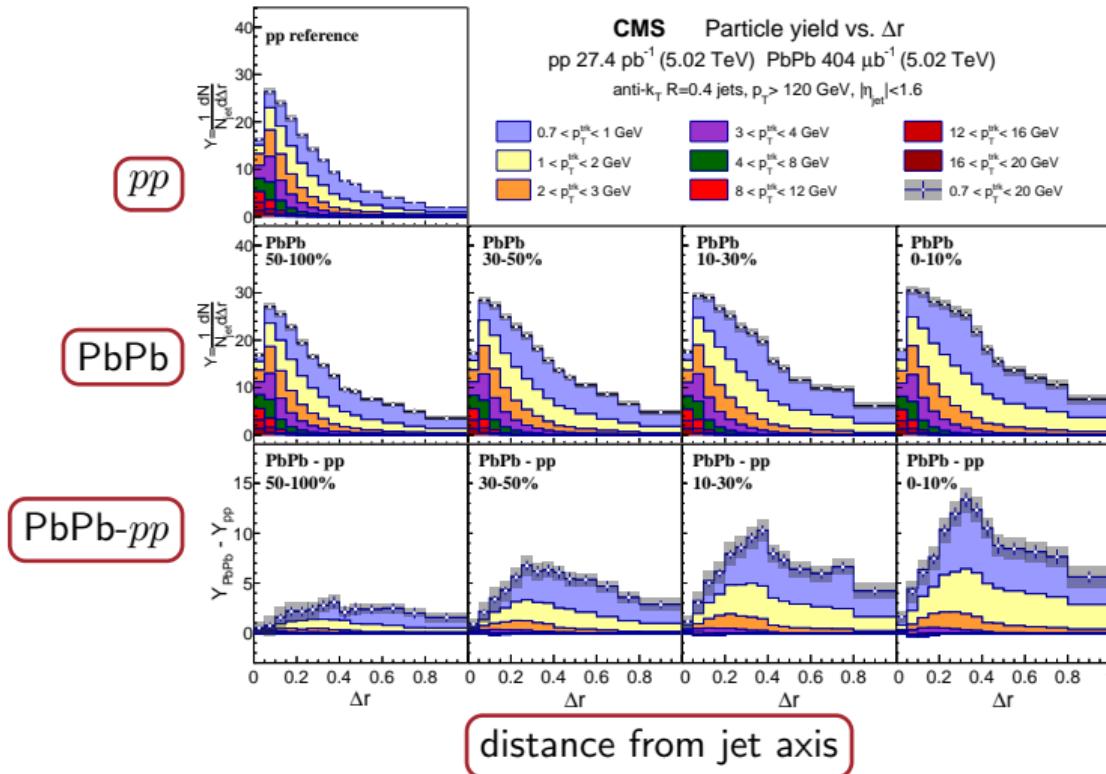


Jet quenching is explained by energy loss in strongly interacting plasma.



Soft particle production around the jet cone

Compare soft ($p_T < 5$ GeV) particles around $p_T > 120$ GeV jet



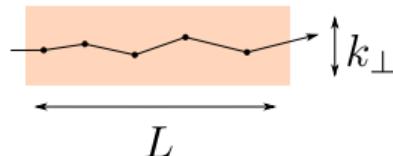
Energy loss \implies enhanced soft particle production at large angles from jet axis.

Medium induced gluon radiation

(BDMPS-Z) Baier, Dokshitzer, Mueller, Peigne, Schiff (1996) [14], Zakharov (1996) [15] and others

Energy loss at strong coupling: infall of a classical string in a black hole, see Casalderrey-Solana, Liu, Mateos, Rajagopal, Wiedemann (2014) [13]

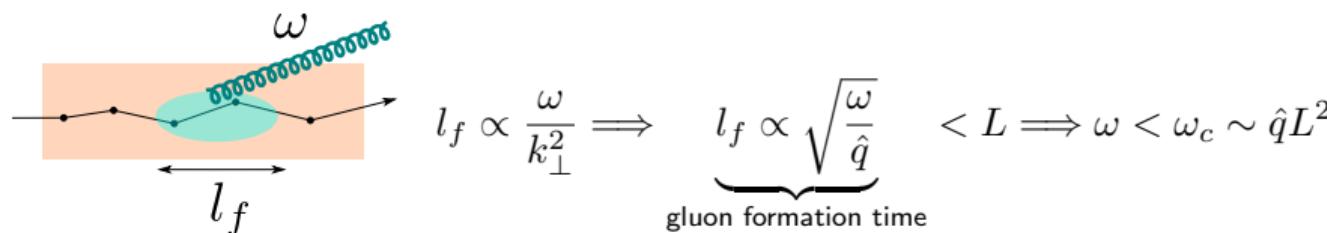
Multiple soft scatterings of a hard parton \Rightarrow transverse momentum diffusion



$$\langle k_{\perp}^2 \rangle = \hat{q}L$$

$\hat{q} \propto T^3$ – quenching parameter (medium property).

Medium induced gluon radiation – interference of multiple scatterings (LPM suppression)



Gluon radiation causes the energy loss of parent parton.

$$\omega \frac{dI}{d\omega dz} \approx \underbrace{\frac{L}{l_f}}_{\# \text{ incoh. scat. centers}} \times \underbrace{\frac{\alpha_s}{L}}_{\text{scatterings probability/distance}} = \alpha_s \sqrt{\frac{\hat{q}}{\omega}}.$$

Medium modified spectra for a single parton (a quark or a gluon)

Energy loss for a parton moving distance L in a medium

$$\epsilon = \int_0^L dz \int_0^{\omega_c} d\omega \omega \frac{dI}{d\omega dz} = \int_0^L dz \int_0^{\omega_c} d\omega \alpha_s \sqrt{\frac{\hat{q}}{\omega}} \propto \alpha_S \hat{q} L^2.$$

Sensitivity to the path-length L .

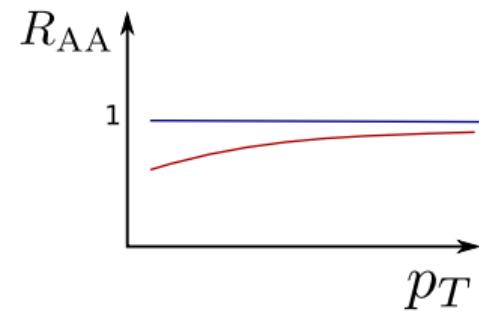
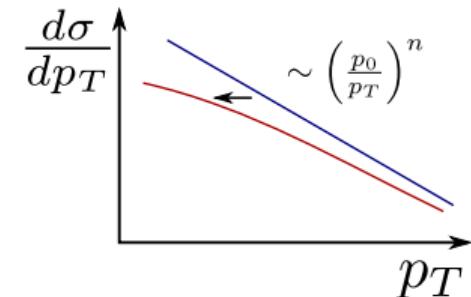
Steeply falling vacuum spectra

$$\frac{d\sigma_{\text{vac}}}{dp_T} = \sigma_0 \left(\frac{p_0}{p_T} \right)^n, \quad n \approx 5 - 7$$

For average $\langle \epsilon \rangle$ energy loss, the modification is

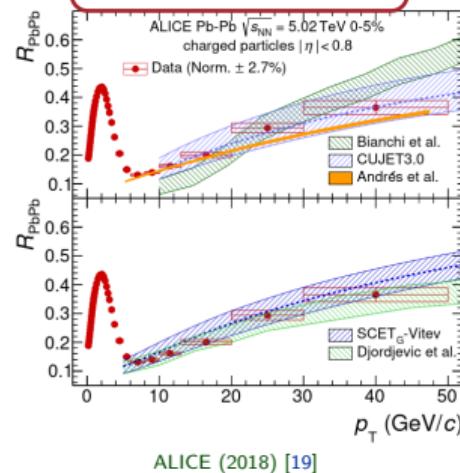
$$R_{\text{AA}} \propto \exp \left(-\frac{n \langle \epsilon \rangle}{p_T} \right)$$

Relative suppression becomes less at larger momentum.

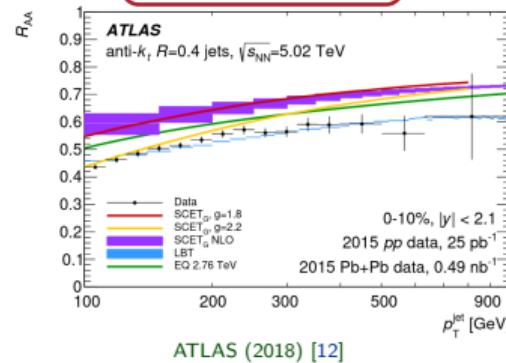


Energy loss model comparisons to data

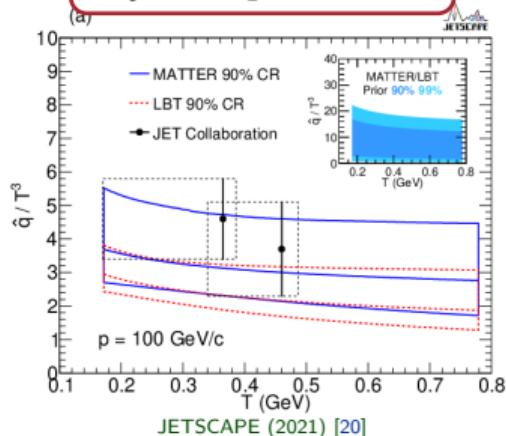
Hadron suppression



Jet suppression



Bayesian \hat{q} extraction



- Broad agreement among different models for basic observables like R_{AA}
- Use data-to-model comparisons to determine medium properties, e.g. \hat{q} .

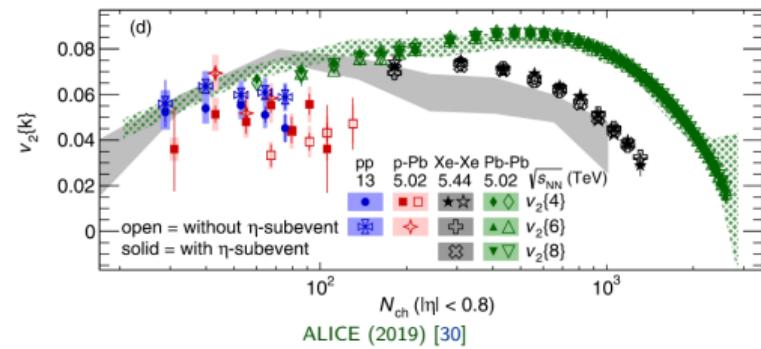
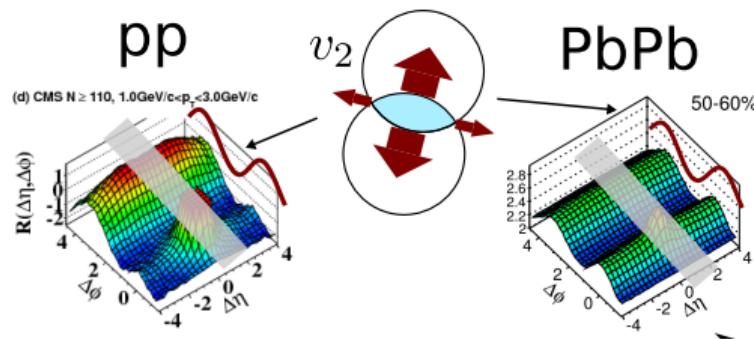
Jet evolution in medium is an active field of theoretical development.

“Heavy-ion” phenomena in pp and pPb and other small systems

Surprising macroscopic physics in small collision systems

Arguably the first discovery at LHC: long-range 2-particle correlations in high-multiplicity pp collisions

CMS (2010) [29]



- Collective flow signals in pp and $p\text{Pb}$ collisions, where QGP was not expected.

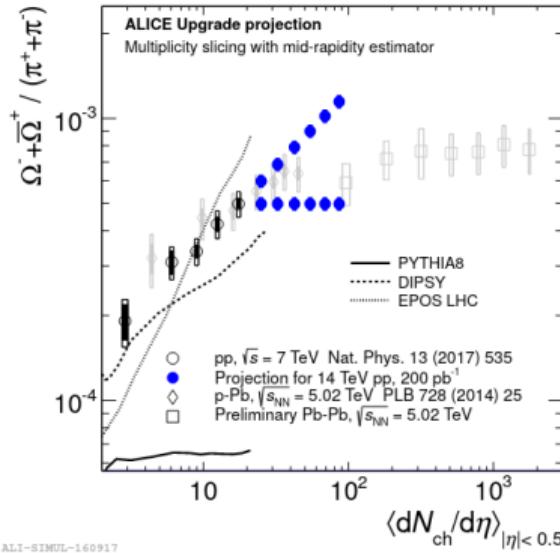
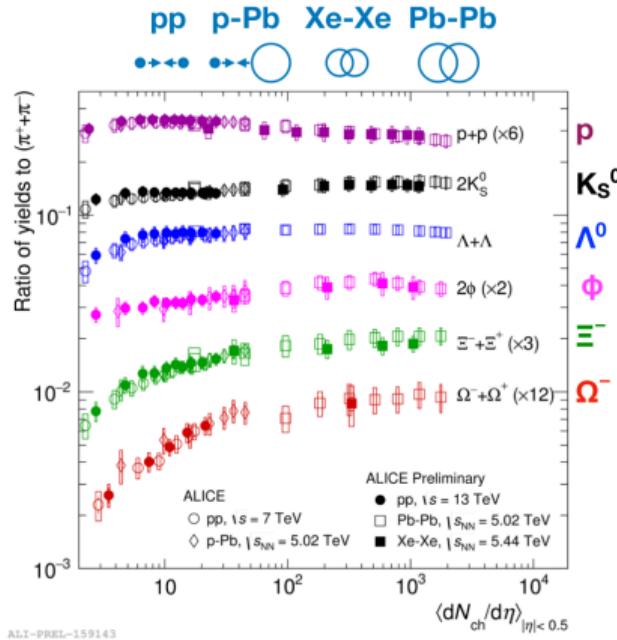
$$L_p \sim 1 \text{ fm} \ll L_{\text{Pb}} \sim 10 \text{ fm}.$$

- Not a jet effect: persists for 4-, 6- particle correlations and with rapidity cuts.
- Not reproduced by standard pp event generators, e.g., PYTHIA.

Fluid expansion in a system with $N_{ch} < 100$? Is there QGP in pp , $p\text{Pb}$?

Enhanced production of strange hadrons

- Thermal abundances of strange hadrons \Rightarrow sign of chemical equilibration.
- Continuous increase of strangeness with multiplicity *across all systems*.

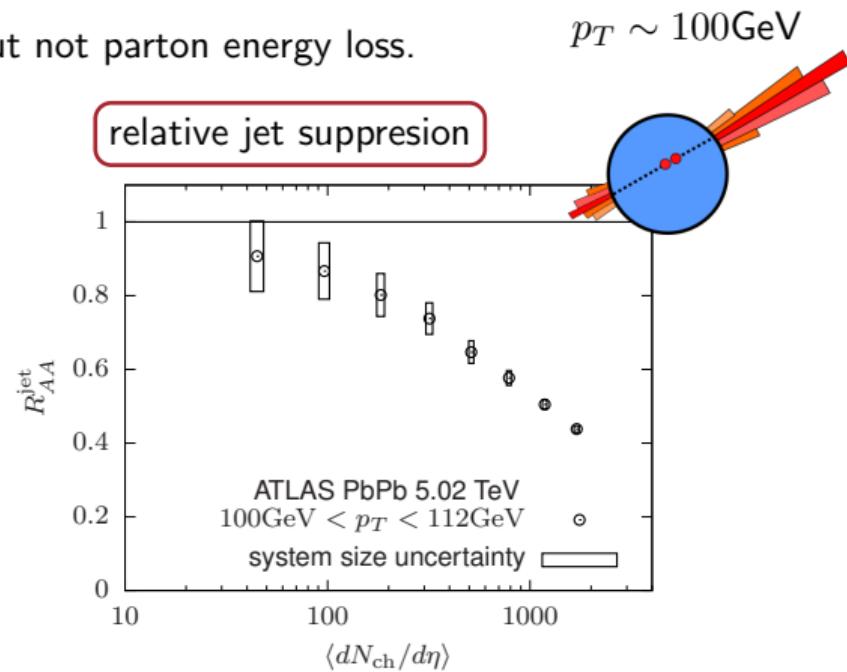
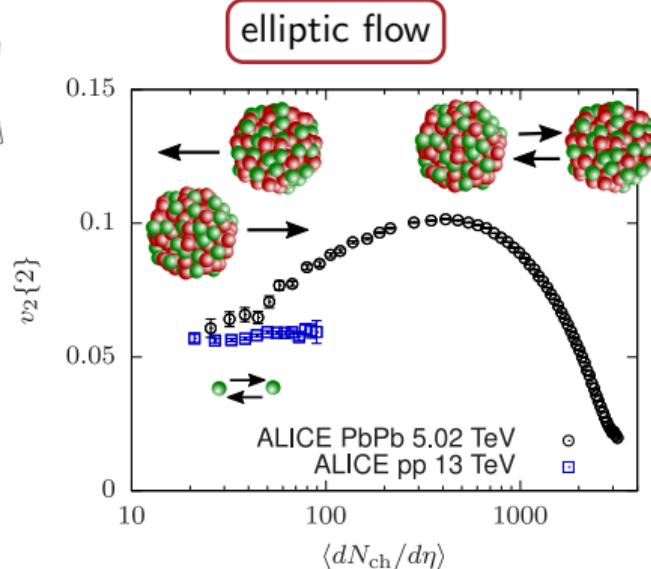


Yellow report (2018) [31]

- What drives strangeness enhancement? QGP thermalization?
- *Will strangeness saturate in ultra high-multiplicity pp collisions?*

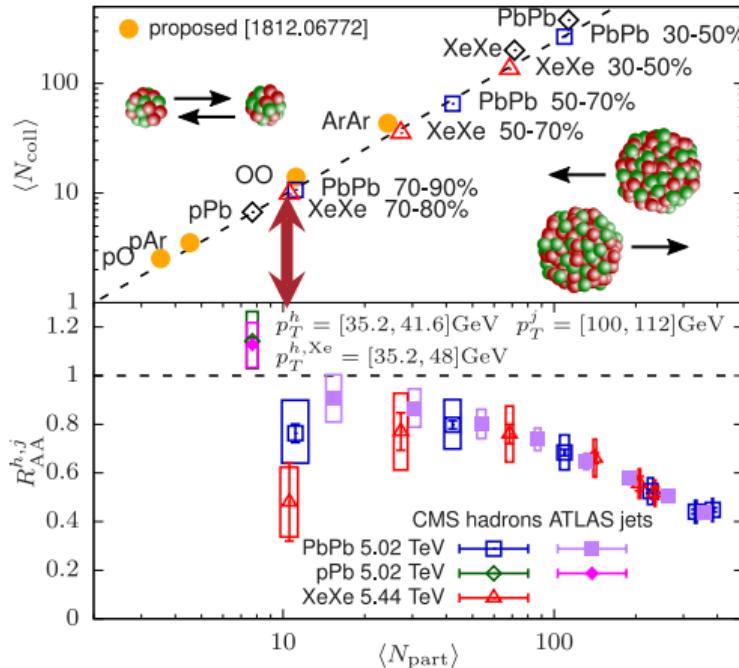
Outstanding problem: origin of collective behaviour in small systems

Collective flow seen in all hadron collisions, but not parton energy loss.
 $\pi T \sim 1\text{GeV}$



Big question: Is Quark Gluon Plasma created in small systems?

New opportunities with light ions



$\sqrt{s_{NN}} \sim 7 \text{ TeV OO at LHC in 2024}$
STAR collected $\mathcal{L}_{\text{OO}} = 32 \text{ nb}^{-1}$



Brewer, AM, van der Schee (2021), 2103.01939

Huss, Kurkela, AM, Paatelainen, van der Schee, Wiedemann PRL, PRC (2020)

- No jet quenching signals in peripheral PbPb and $p\text{Pb}$ collisions seen
- *Minimum bias oxygen-oxygen collisions probe the relevant size regime!*

Summary

High-density QCD physics with nucleus-nucleus collisions

- Large volumes of high-density deconfined nuclear matter – QGP.
- Abundant medium signals: collective flows, jet quenching, EM radiation, etc.
- Rapid QCD thermalisation, QGP behaves like nearly perfect fluid.

"Heavy-ion"-like phenomena with proton-nucleus and proton-proton collisions

- Surprising signals of collective flows and strangeness enhancement.
- Missing suppression of high- p_T hadrons and jets
- Several competing interpretations \implies open space for new ideas.

Outlook:

- Rich experimental program with heavy and light ions at LHC in Run 3 and 4
- Complementary studies of baryon rich QCD matter at RHIC and other colliders.
- New generation heavy-ion detector ALICE 3 for low- p_T and heavy quark studies.

*Many-body QCD phenomena are universal and widespread in all hadronic collisions
 \implies increasing synergy of HEP and HIP fields.*

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Backup

Hard partonic luminosities in nuclear collisions (no medium)

Nuclear parton distribution functions

- Bound proton PDF as modification of free proton

$$f_i^{p/A}(x, Q^2) = R_i^A(x, Q^2) f_i^p(x, Q^2).$$

at initial scale $Q \sim 1 \text{ GeV}$. Isospin symmetry \Rightarrow neutrons.

- Modification depends on mass number A (parametrized)
- Q^2 evolution described by DGLAP
- Global fit to fixed target DIS, DY and selected collider data.

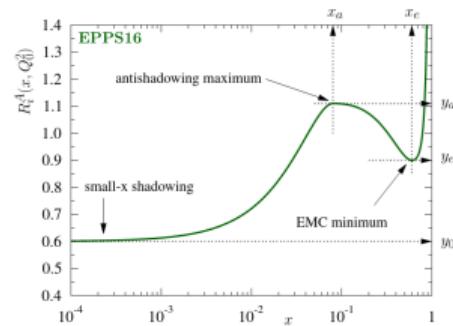
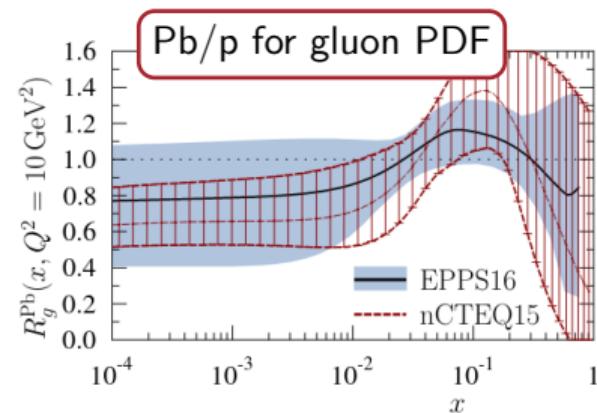
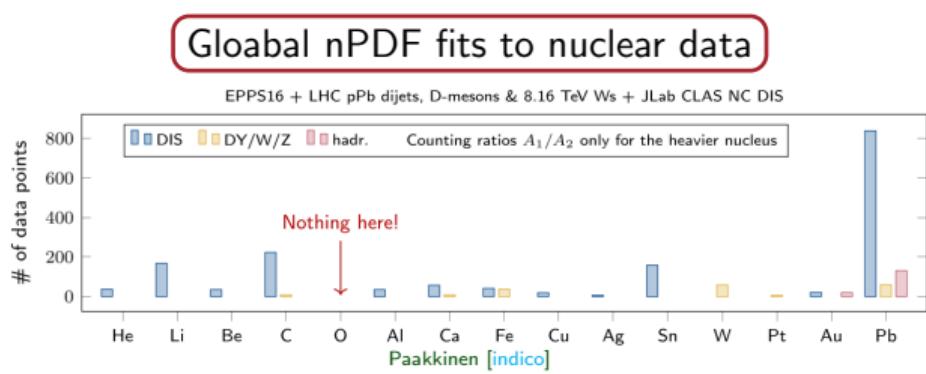


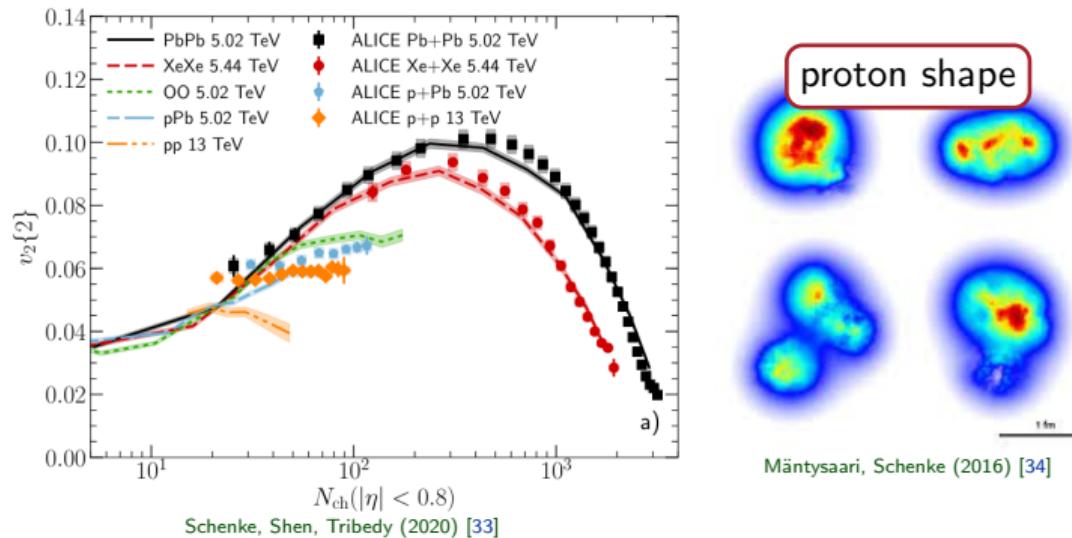
Fig. 1 Illustration of the EPPS16 fit function $R_i^A(x, Q_0^2)$.



Different collaborations (nCTEQ, nNNPDF, EPPS) improving nPDFs with LHC data.

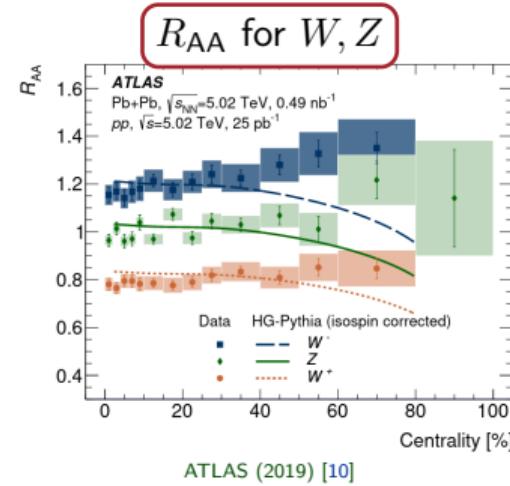
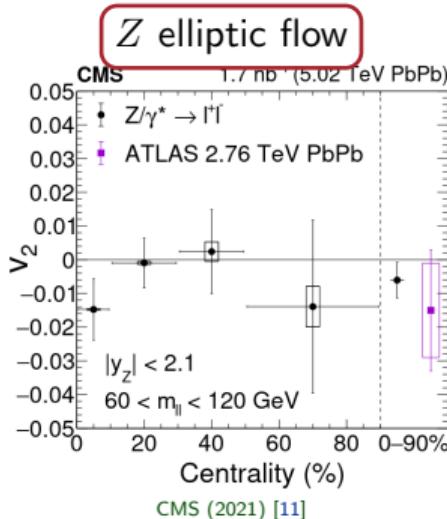
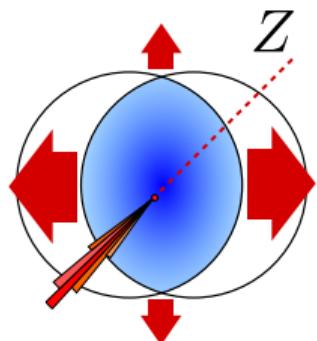
Scenario I: hydrodynamic in small systems

Assume small droplets of QGP in pp and $p\text{Pb}$ collisions.



- v_n in $pp \implies$ what is the shape of a proton?
- Qualitative description of data, but questions remain about model validity.
- Applicability of hydrodynamics even far-from-equilibrium?

W and Z in PbPb collisions

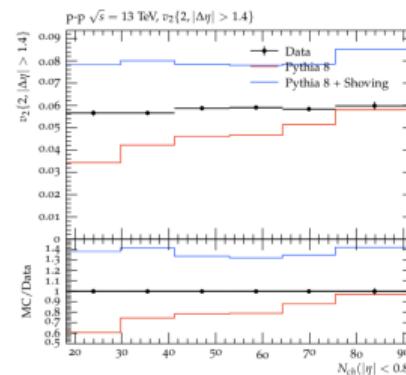
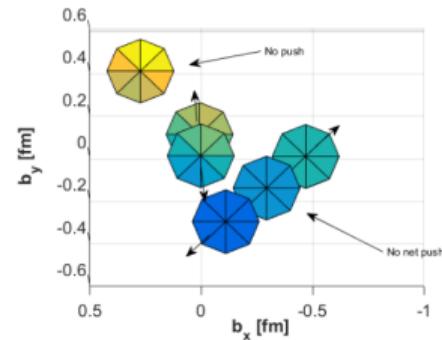
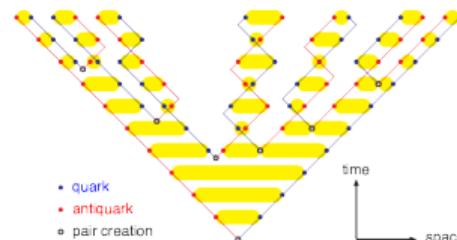


- No Z -boson elliptic flow \Rightarrow not interacting with medium.
- Flat R_{AA} in central collisions consistent with N_{coll} scaling.
- Deviation in peripheral events \Rightarrow potential selection bias.
- W and Z are important calibrating probes, e.g. initial momentum in $Z+\text{jet}$ or $Z+\text{hadron}$ events.

Scenario II: collectivity in HEP event generators

Hadron production from string breaking in PYTHIA: Lund string model.

- Color ropes – increase in string tension \Rightarrow more strange hadrons
- String shoving – repulsions of closely packed string \Rightarrow flow.
- Hadron rescattering after hadronization \Rightarrow more collective flow.



Bierlich, Chakraborty, Gustafson, Lönnblad (2020) [36]

Sjöstrand, Utheim (2020) [35]

- Challenge to quantitatively describe multi-particle correlations.
- Gradient driven expansion in QGP and between strings \Rightarrow how to tell apart?

Other theory approaches

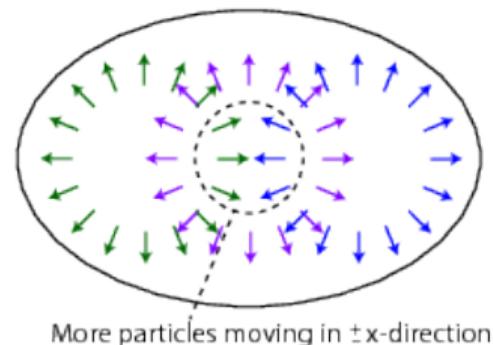
Kinetic theory in dilute systems:

- Interpolate from free-streaming to hydrodynamic limits.
- Can generate collective flow from just few scatterings.
- Elucidate the limits of hydrodynamics.
- Currently limited to simplified theories/scenarios.

Scattering of colour domains in CGC

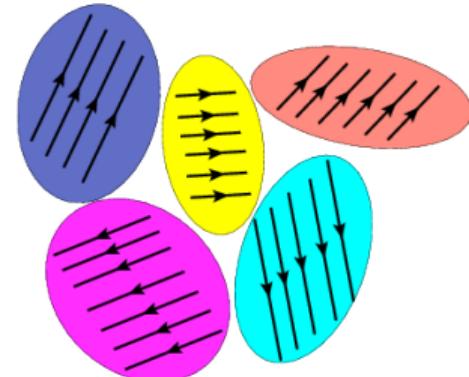
- Anisotropic scatterings in momentum space
- Not related to system geometry
- Small signal, often washed out by final-state scatterings.
- Proposed signatures in small systems, e.g. v_2 and $\langle p_T \rangle$ correlations.

Many ideas about collectivity in small systems \Rightarrow opportunity/challenge to discover the right QCD degrees of freedom.



More particles moving in $\pm x$ -direction

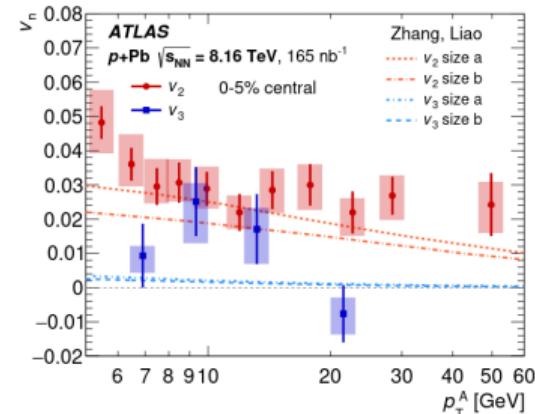
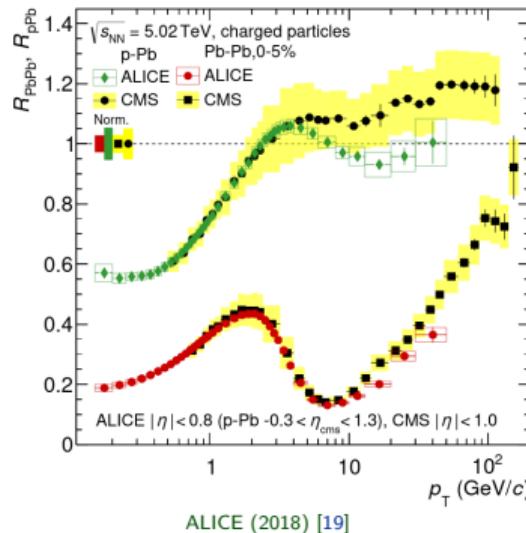
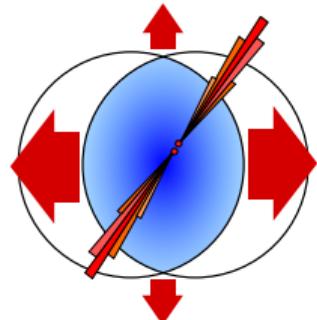
Kurkela, Wiedemann, Wu (2018) [37]



Lappi, Schenke, Schlichting, Venugopalan (2015) [38]

Puzzle of missing high-momentum energy loss in small systems

- No evidence of hadron/jet suppression in $p\text{Pb}$, i.e. $R_{pA} \approx 1$
- Clear azimuthal modulations of high p_T hadrons.
- *Contradicts the current paradigm: collective flow \iff suppression of high- p_T spectra.*

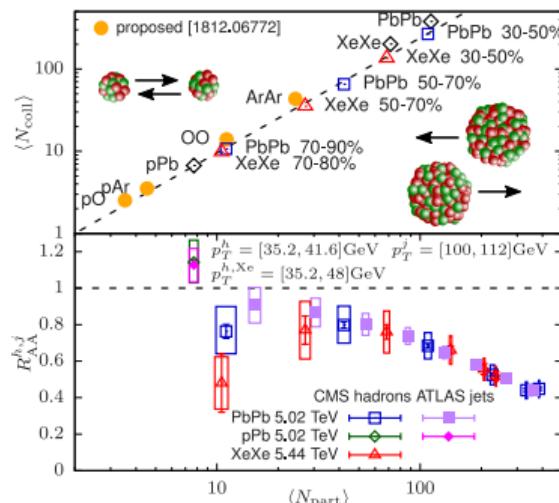


Intensive searches for subtle energy loss signals (new observables, new systems).

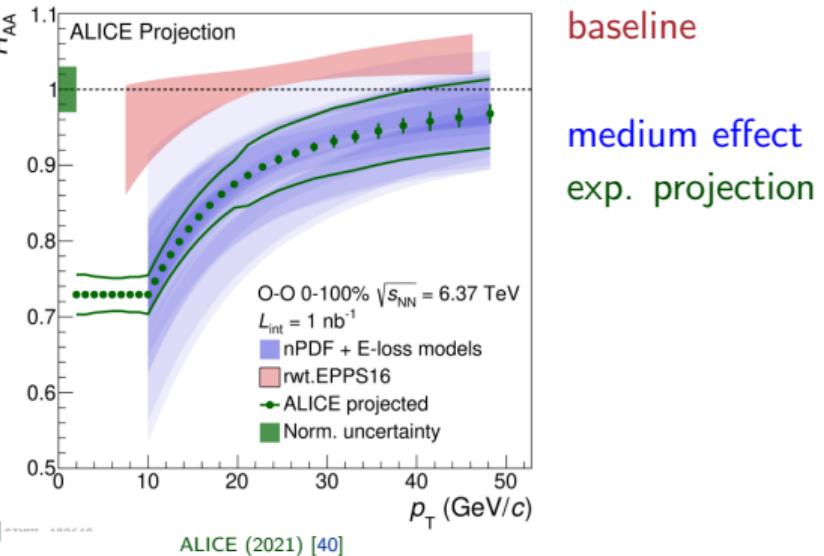
Oxygen run at LHC in Run 3 (also at RHIC)

Many physics opportunities with OO and p_0 see Yellow report (2018) [31], OppOatLHC workshop [indico]

- p_0 : interest from cosmic ray physics.
- OO comparable size to $p\text{Pb}$, but better geometry control.
- Minimum-bias R_{AA} free of geometry uncertainties \Rightarrow precise energy loss measurement



Huss, Kurkela, AM, Paatelainen, van der Schee, Wiedemann (2020) [41]



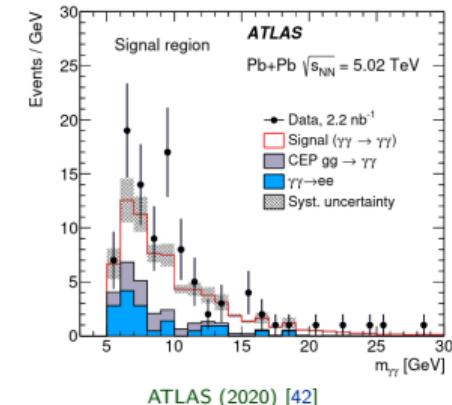
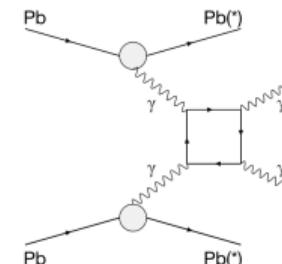
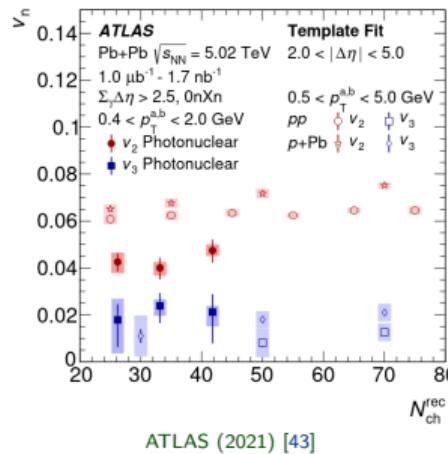
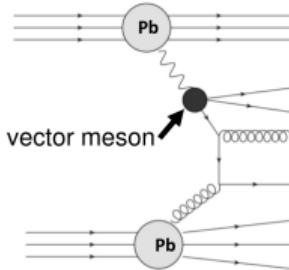
ALICE (2021) [40]

Potential for discovering energy loss in $N_{\text{part}} \approx 10$ system

Smaller than pp

Ultra-peripheral collisions (= at least one nucleus intact)

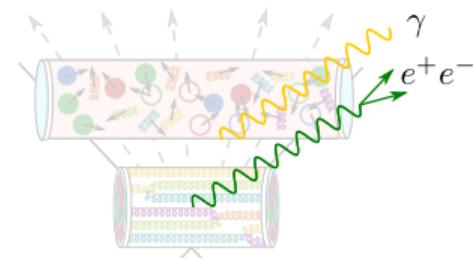
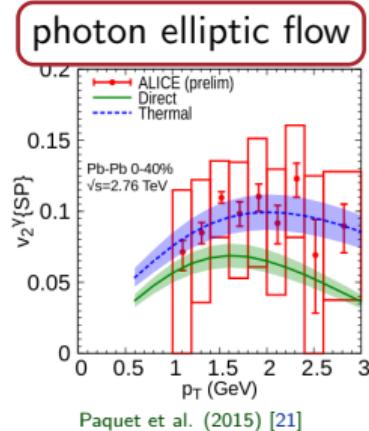
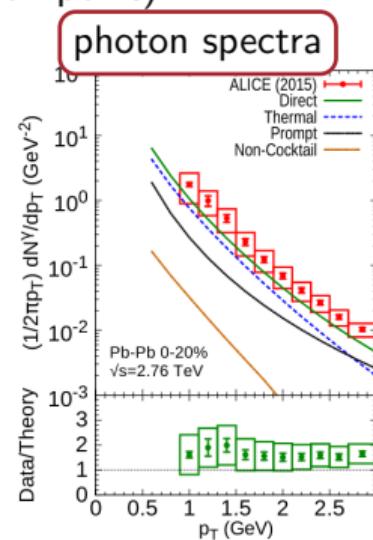
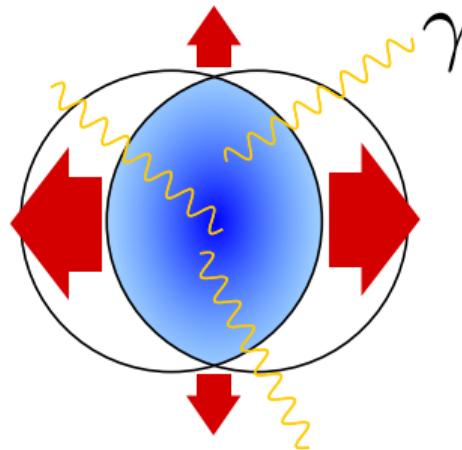
- Ultrarelativistic ions \Rightarrow large photon flux $\propto Z^2$
- Can study photon-nucleus and photon-photon collisions



- Anisotropic flow signal in γA (photon fluctuates into ρ, ω)
- Verification of QED prediction, constraints on axion like particle production.

Photon and di-leptons — penetrating probes of QGP

- Produced perturbatively at initial stages (prompt)
- Radiated thermally by QGP (rate depends on temperature, quark content).
- Do not reinteract with the medium once produced (but can be boosted at emission point)



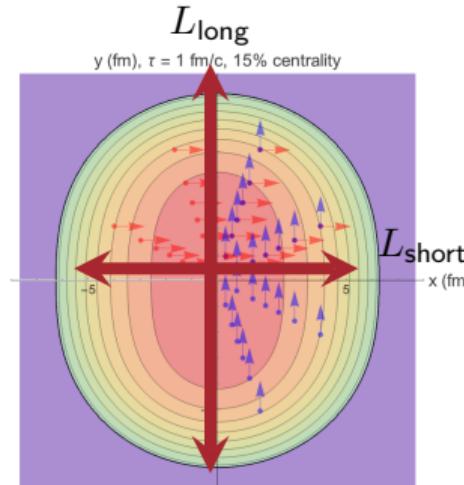
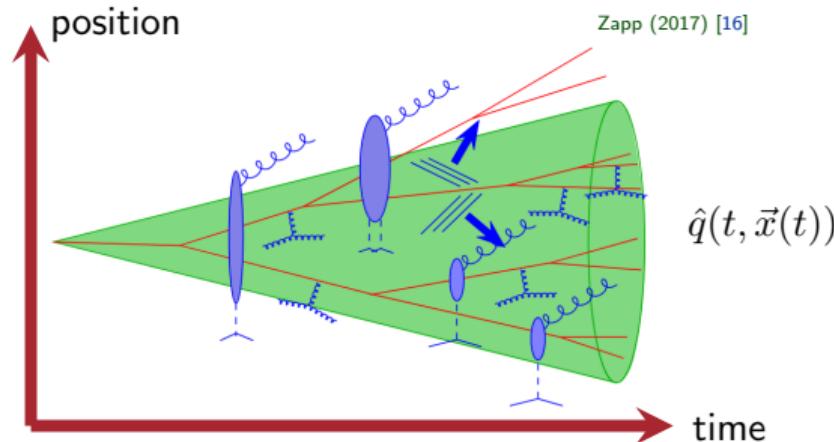
Excess of thermal photon production and collective flow \Rightarrow signature of hot flowing QGP.

Can use EM radiation to study the early time quark production in QGP.

Jets in high-energy QCD matter

In-medium Monte-Carlo jet implementations (Jewel, Martini, LBT, Hybrid, Jetscape...)

- Space-time structure of vacuum parton shower via formation time $\Delta t \sim E/Q^2$.
- Quenching parameter $\hat{q}(t, \vec{x}(t))$ from hydrodynamic background.
- $L_{\text{long}} > L_{\text{short}} \implies$ anisotropic energy loss.

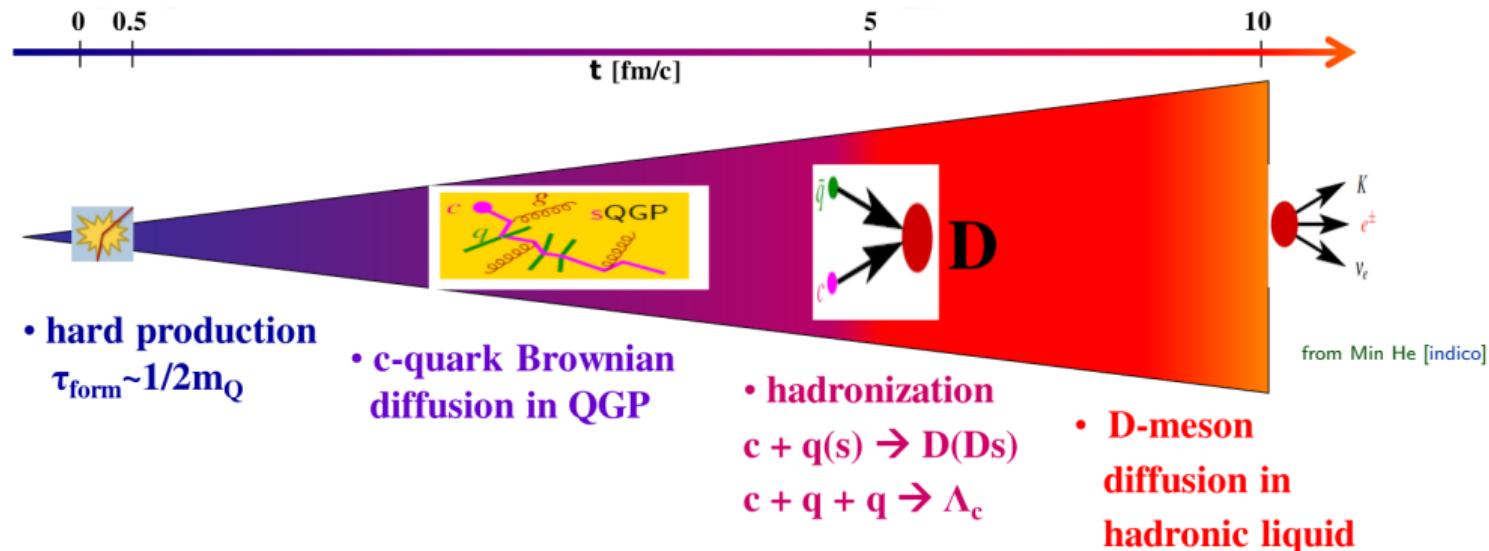


Heavy quarks in QCD matter

Heavy quarks evolution in QGP

Charm and beauty quarks make excellent probes of QGP evolution

- Produced perturbatively ($m_Q \gg T$) and at early times $t_f \sim (2m_Q)^{-1}$
- Interacts strongly with QGP during evolution: D_s – diffusion coefficient.
- Quark flavour preserved – can be tagged in final state.



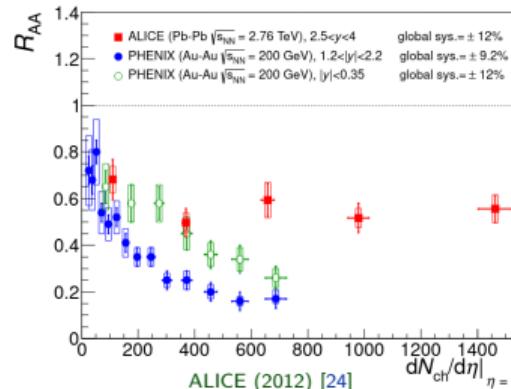
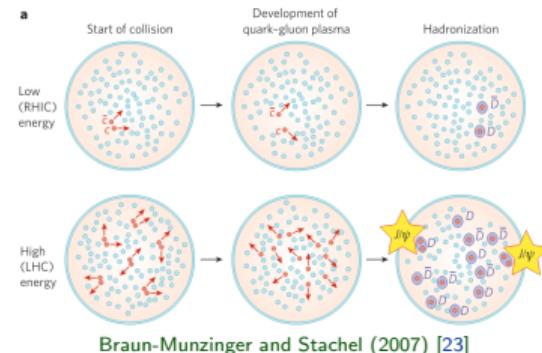
Focus on understanding heavy quark co-flow with the medium.

Quarkonium $Q\bar{Q}$ states in heavy-ion collision

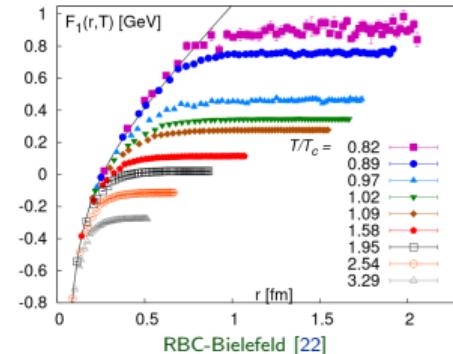
- In vacuum: confining potential between Q and \bar{Q}

$$F_{Q\bar{Q}}(r) = -\frac{\alpha}{r} + \underbrace{\sigma}_{\text{string tension}} r.$$

- Colour screening in QGP \Rightarrow dissociation of quarkonium, sensitive to QGP temperature.



static quark free energy



$J/\psi = c\bar{c}$ suppression at RHIC and LHC

- Observed significant suppression of J/ψ , but less at higher collision energies.
- Dissociated charm quarks in QGP recombine at phase transition $\Rightarrow J/\psi$ regeneration.

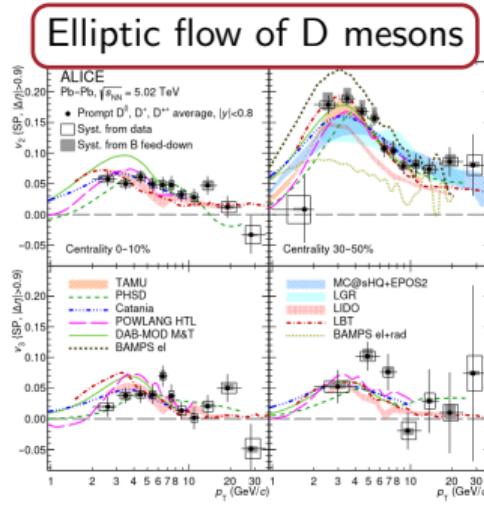
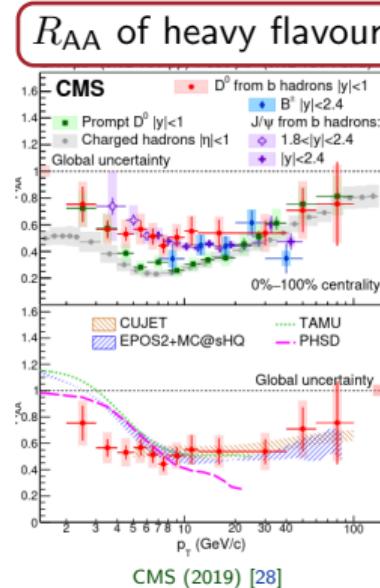
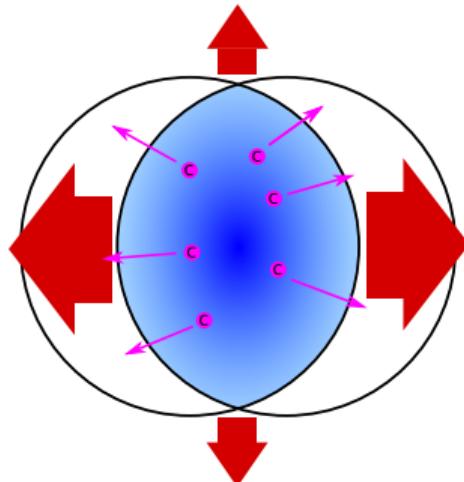
Full story more complicated: Lindblad equation for density matrix ρ Brambilla, Escobedo, Strickland, Vairo, Griend, Weber (2021) [25]

Coupled Boltzmann Transport Equations, Yao, Ke, Xu, Bass, Müller (2020) [26]

Suppression and flow of heavy quarks in medium

for different theoretical approaches see Heavy-Flavor Transport in QCD Matter [indico]

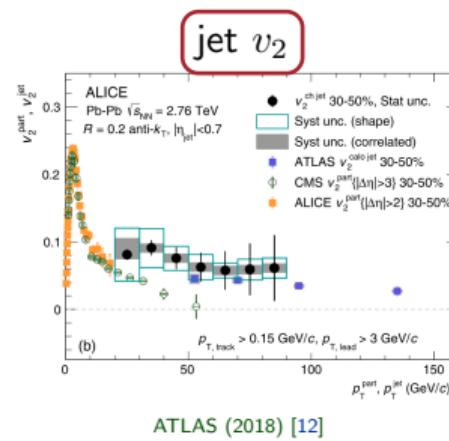
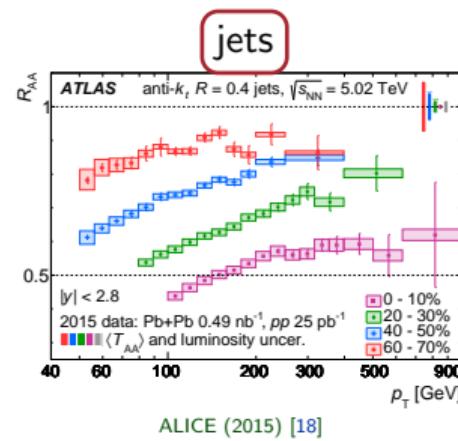
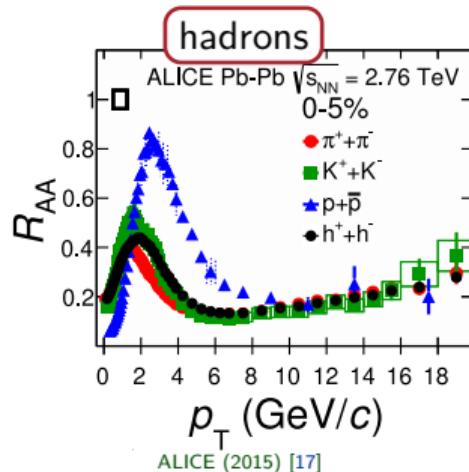
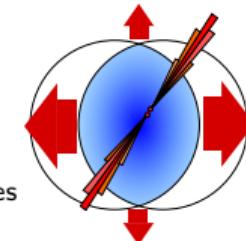
- At high p_T : partonic energy loss \Rightarrow same suppression as light hadrons.
- At low p_T : Brownian motion of massive quarks in flowing background
 \Rightarrow *heavy quarks are boosted by the medium generating momentum anisotropy.*



- Significant collective flow of heavy-flavour \Rightarrow determine diffusion coefficient.
- Strong indication of kinetic charm equilibration \Rightarrow studies of beauty thermalisation.

Hadron and jet R_{AA} and azimuthal harmonics

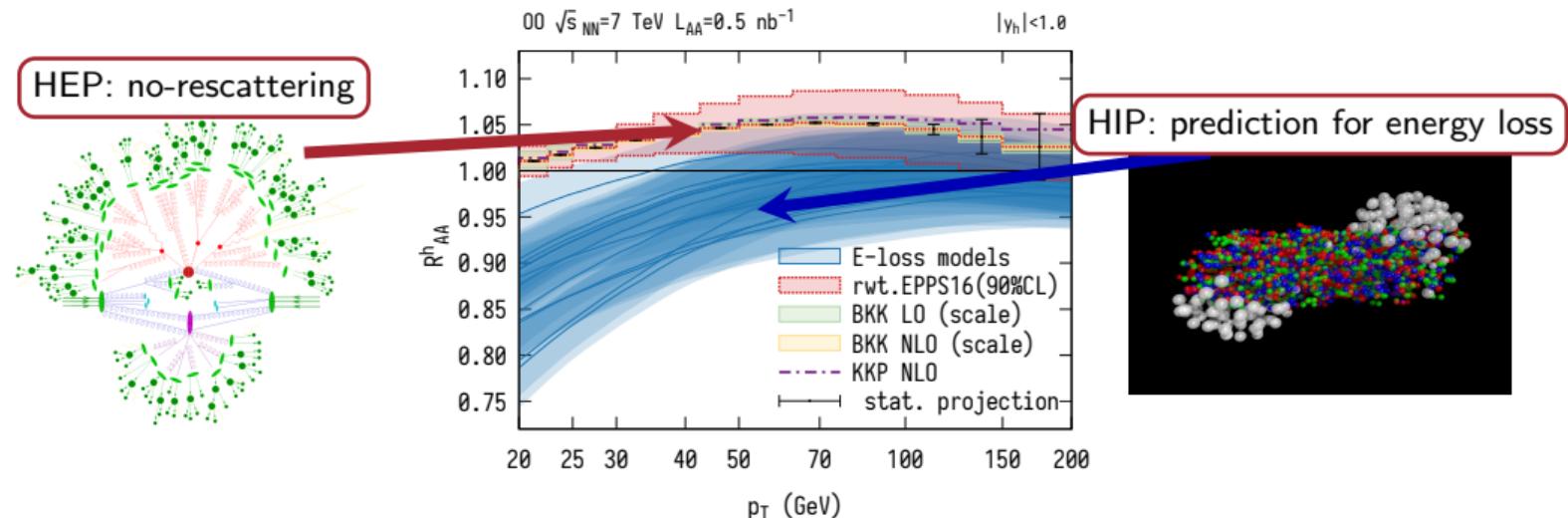
$$R_{AA} = \frac{dN_{AA}/dp_T}{N_{\text{coll}} dN_{pp}/dp_T}, \quad \frac{dN}{d\phi_{\text{jet}}} \sim 1 + \sum_m 2v_n^{\text{jet}} \cos \underbrace{[n(\phi_{\text{jet}} - \Phi_n^{\text{bulk}})]}_{\text{correlation to soft particles}}$$



- Flavour independent suppression of hadrons $p_T > 10 \text{ GeV}$
⇒ support for partonic energy loss picture
- Significant jet suppression (centrality dependent) and azimuthal modulation
⇒ support for path-length dependent energy loss.

Oxygen-oxygen collisions — unique opportunity to discover energy loss

- Discovery of small energy loss \Rightarrow *important to quantify uncertainties in the baseline*
- We performed next-to-leading order computations of perturbative baseline.
- Extrapolated energy loss models down to oxygen-oxygen collisions.



Measurable difference between the baseline and modelled medium effect!

Huss, Kurkela, AM, Paatelainen, van der Schee, Wiedemann, *PRC, PRL* (2021)