

PAUL SCHERRER INSTITUT

PSI



Victoria Kletzl :: Paul Scherrer Institute :: on behalf of the nEDM collaboration

The n2EDM experiment – A high-sensitivity search for physics beyond the Standard Model

SPS/ÖPG Joint Meeting 2023 – Universität Basel



n2EDM

Neutron

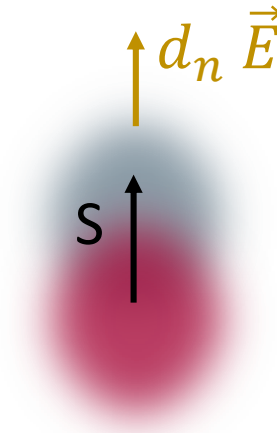
Electric **D**ipole **M**oment

2nd generation

What is an EDM?



- Separation of charges $\rightarrow d_n$

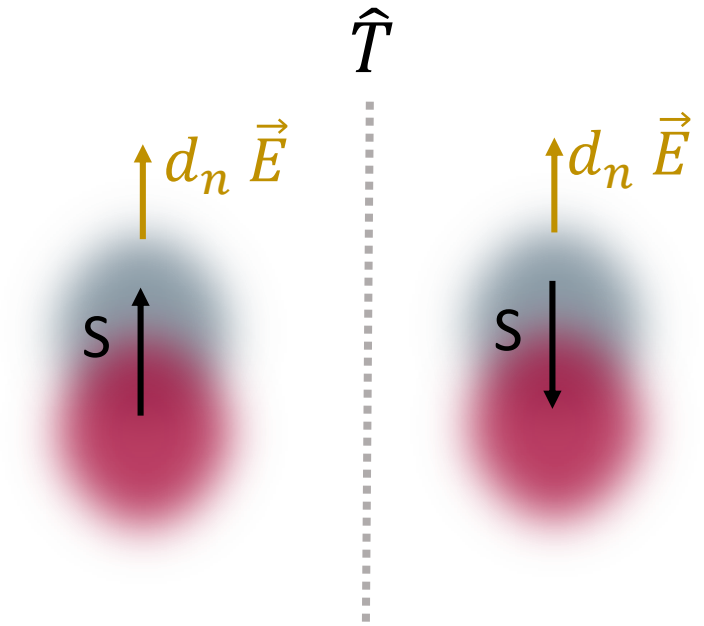


$$\hat{H} = -\mu_n \frac{\vec{S}}{S} \cdot \vec{B} - d_n \frac{\vec{S}}{S} \cdot \vec{E}$$

What is an EDM?



- Separation of charges $\rightarrow d_n$

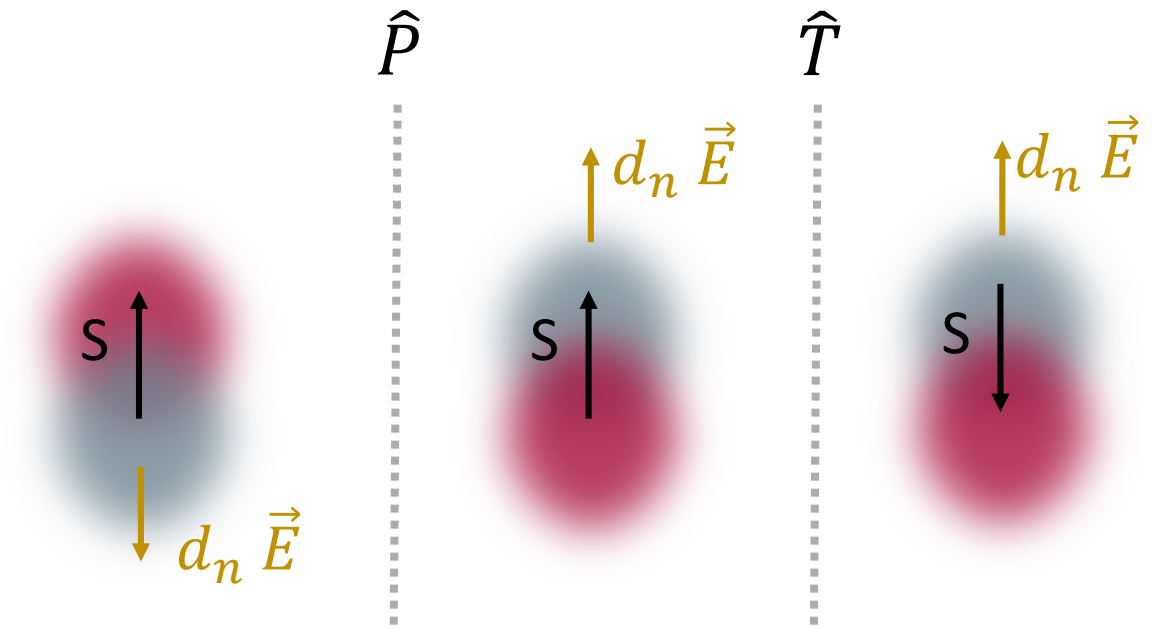


$$\hat{H} = -\mu_n \frac{\vec{S}}{S} \cdot \vec{B} - d_n \frac{\vec{S}}{S} \cdot \vec{E}$$



What is an EDM?

- Separation of charges $\rightarrow d_n$
- $d_n \neq 0 \rightarrow$ CP violation



$$\hat{H} = -\mu_n \frac{\vec{S}}{S} \cdot \vec{B} - d_n \frac{\vec{S}}{S} \cdot \vec{E}$$



Search for the nEDM

- $d_{n,SM} \sim 10^{-32} e \text{ cm}$



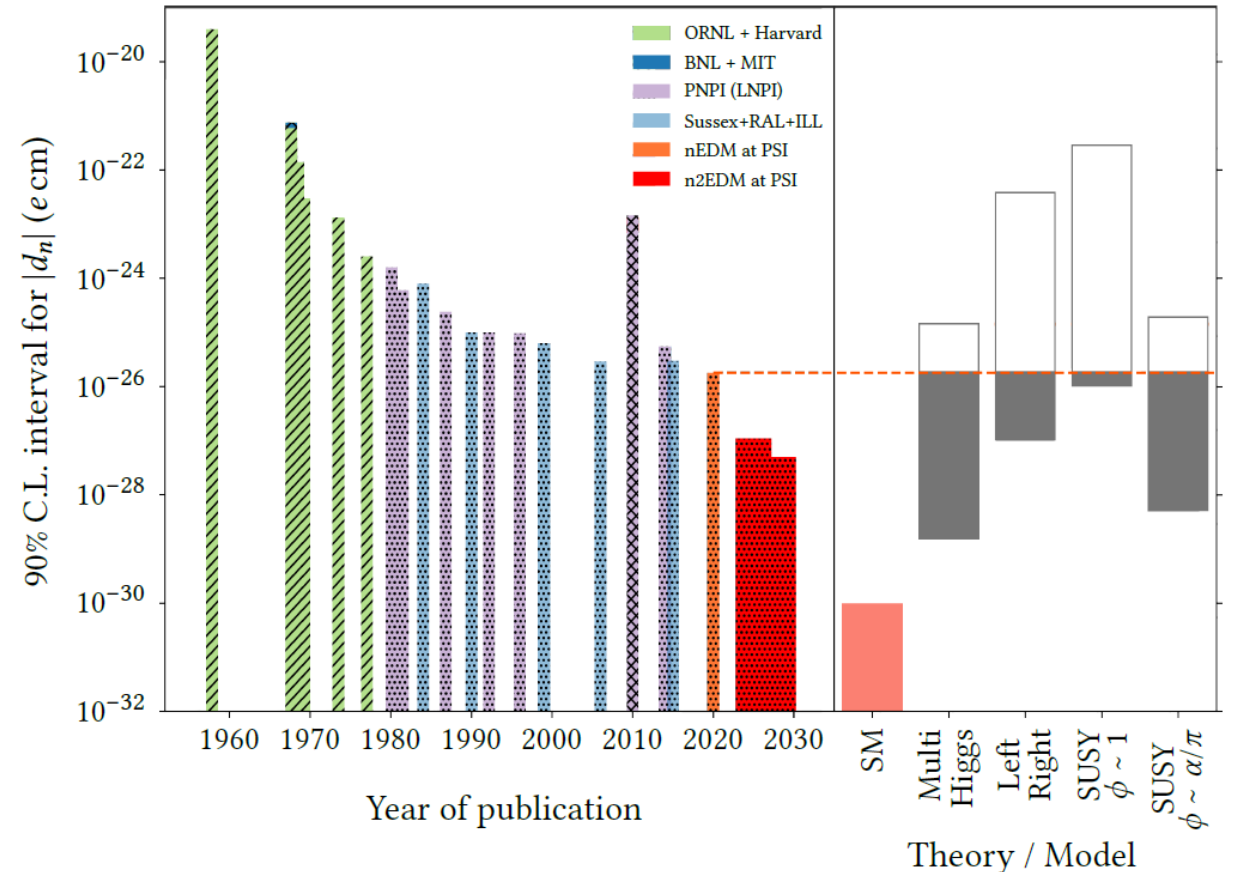
Search for the nEDM

- $d_{n,SM} \sim 10^{-32} e \text{ cm}$
- $|d_{n,2020}| < 1.8 \times 10^{-26} e \text{ cm}$

Search for the nEDM

- $d_{n,SM} \sim 10^{-32} e \text{ cm}$
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New Physics!





How to detect an EDM?

- Measure neutron precession frequency:

$$hf_L = d_n E$$

- **BUT:**

$$f_L \approx 7 \text{ nHz}$$






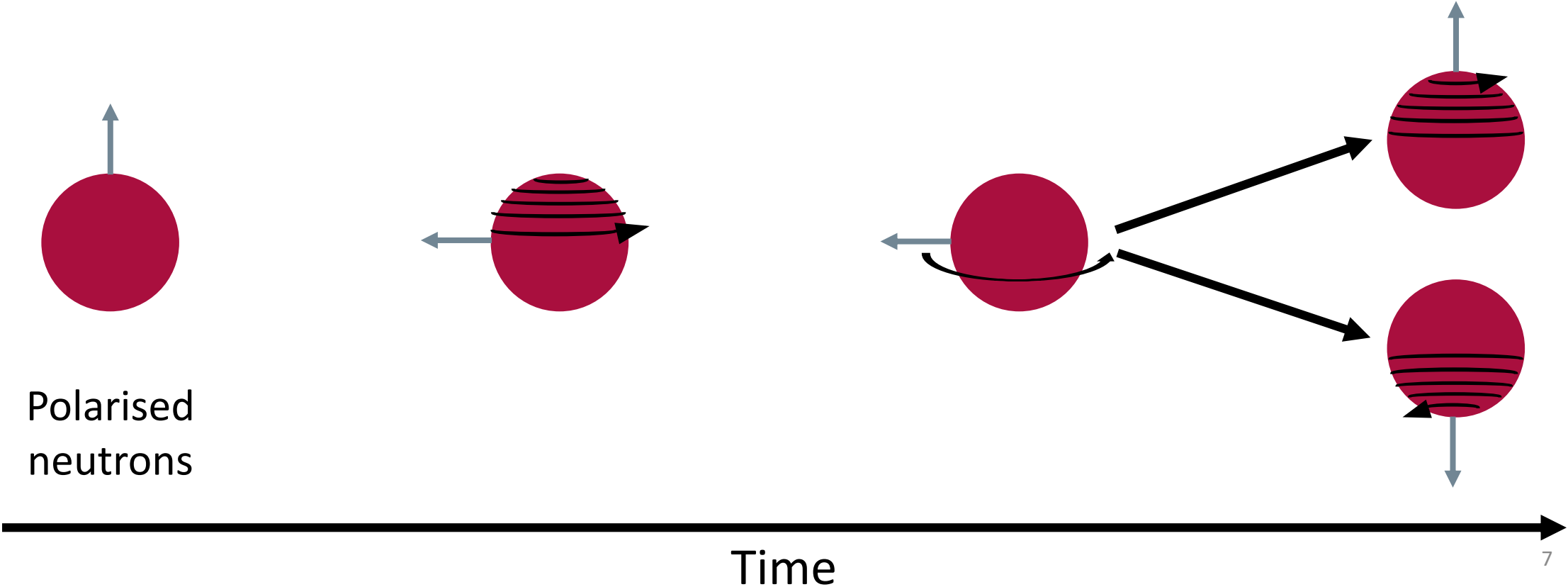
How to detect an EDM? Use the magnetic moment!

- neutron's magnetic moment μ
- Apply magnetic field B_0
- Observe Larmor precession

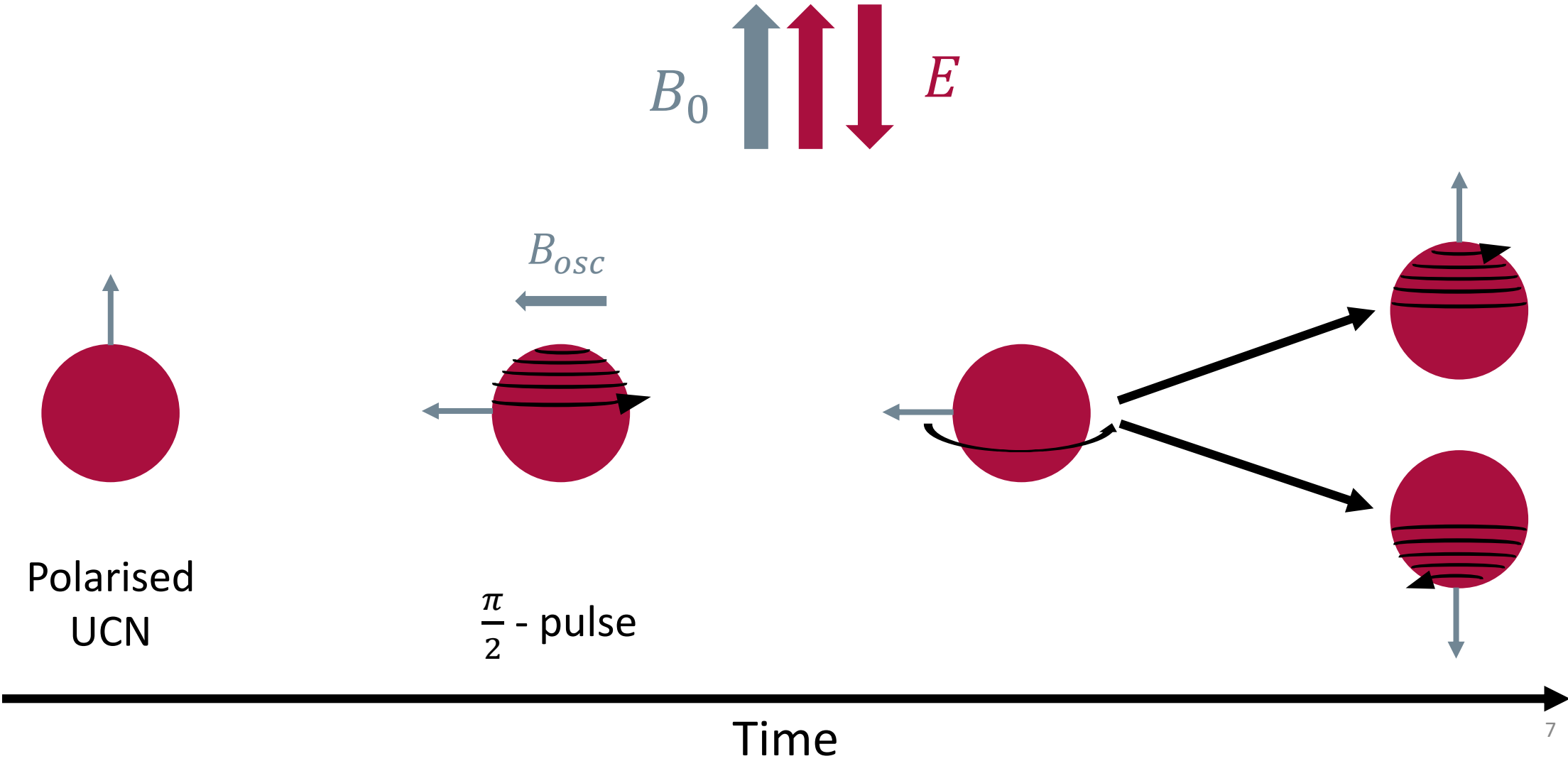
$$hf_L = 2(\underbrace{\mu B_0}_{\approx 30\text{Hz}} \pm \underbrace{d_n E}_{\approx 7\text{ nHz}})$$

How to detect an EDM: Ramsey's method

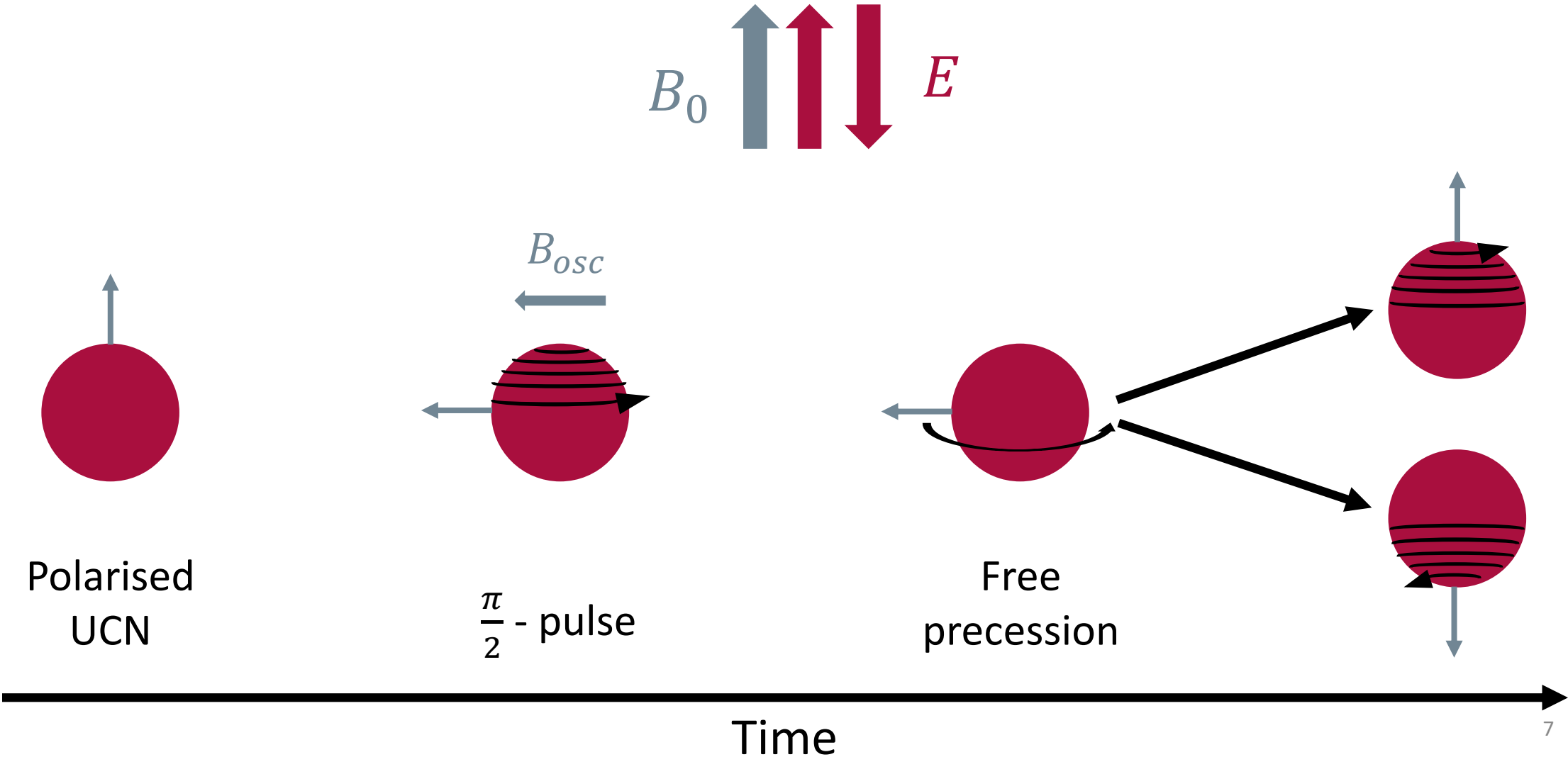
B_0    E



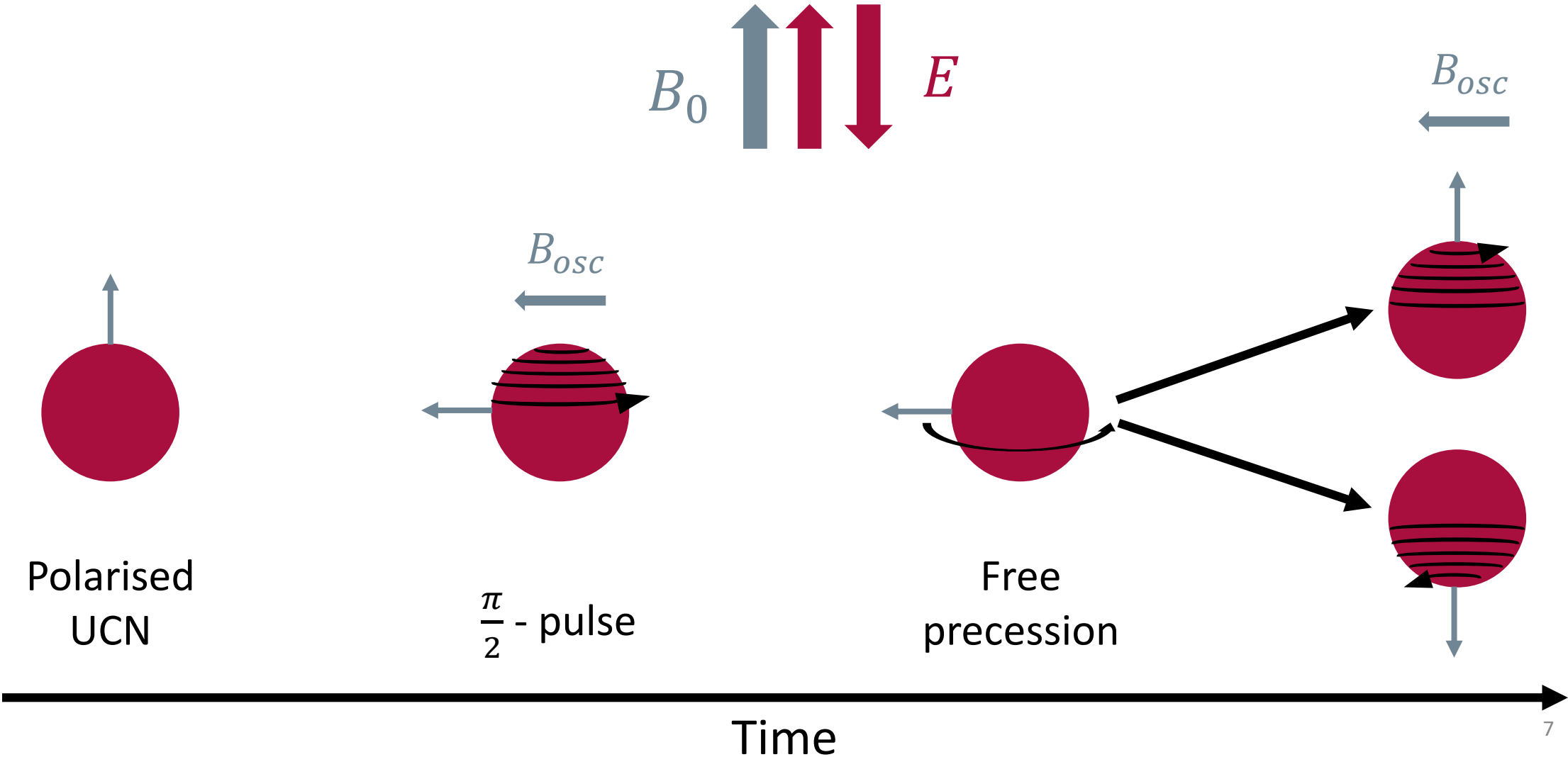
How to detect an EDM: Ramsey's method



How to detect an EDM: Ramsey's method

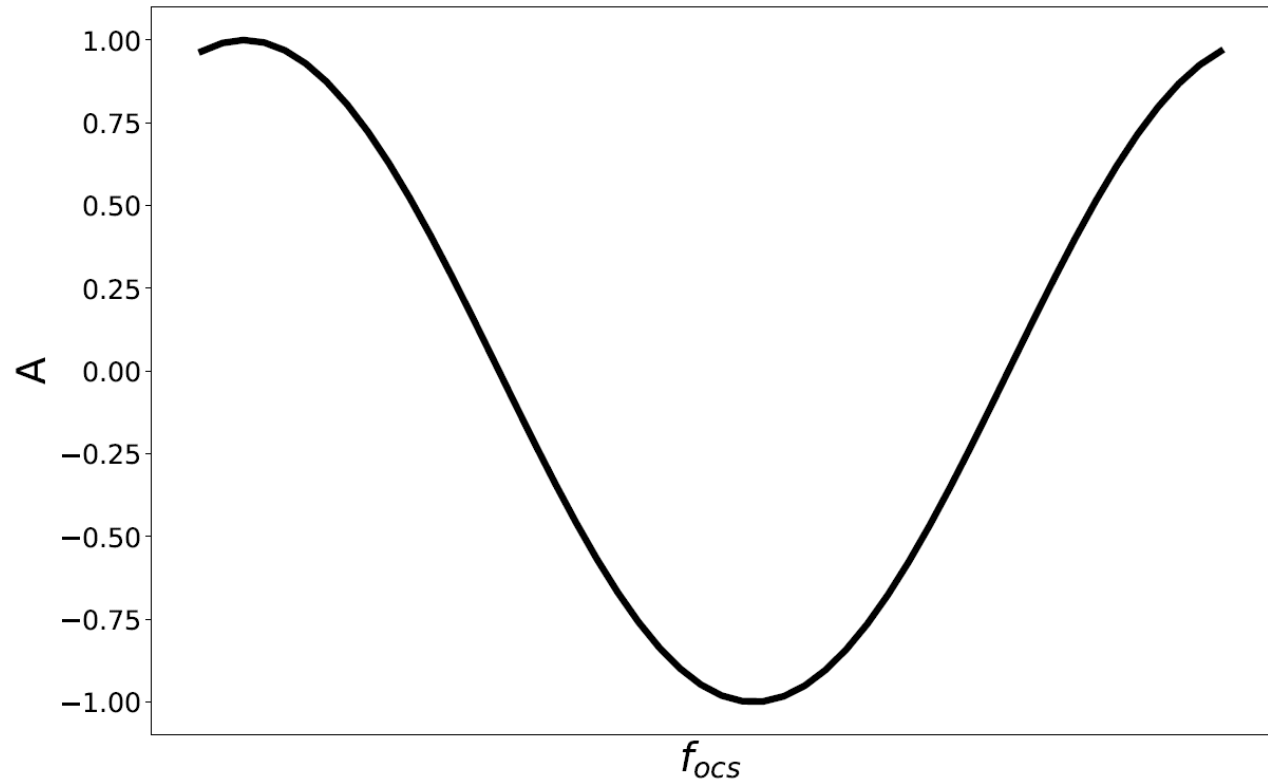


How to detect an EDM: Ramsey's method



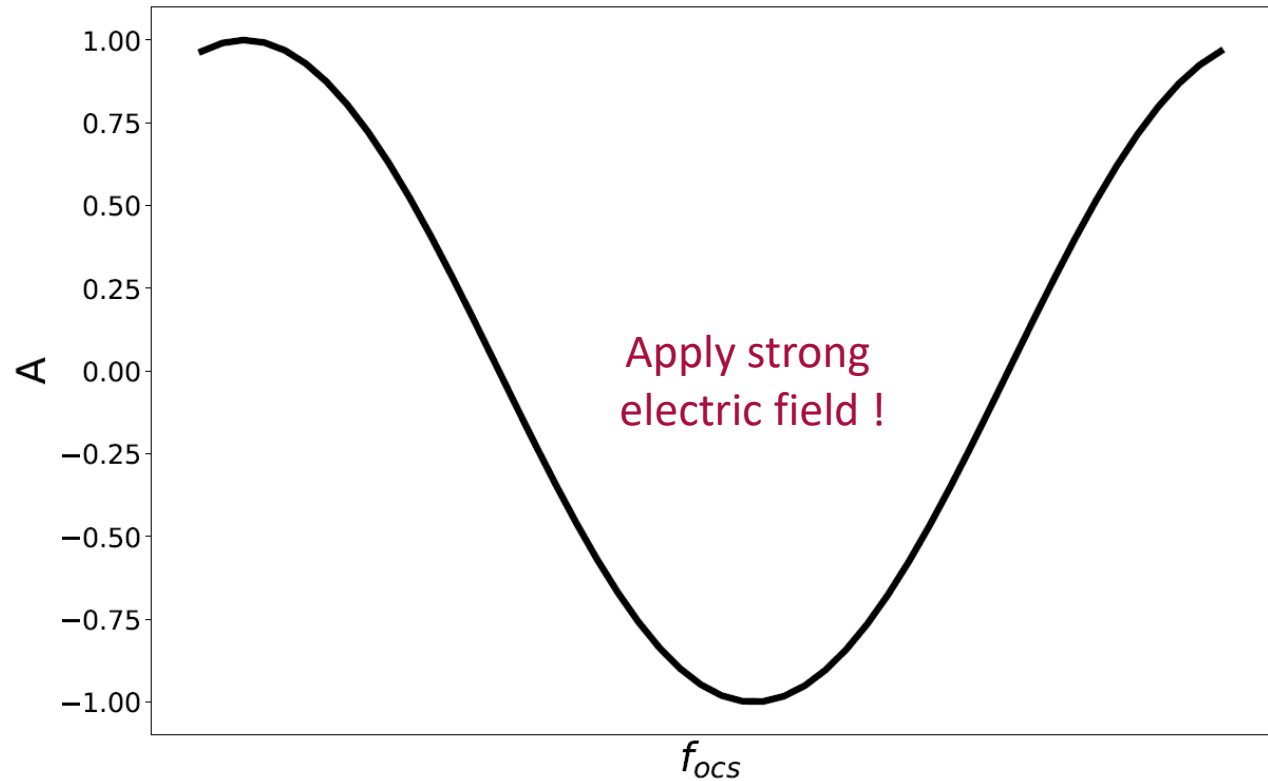
How to detect an EDM: Ramsey's method

$$A(f_{osc}) = \frac{(N_{\uparrow} - N_{\downarrow})}{(N_{\uparrow} + N_{\downarrow})}$$



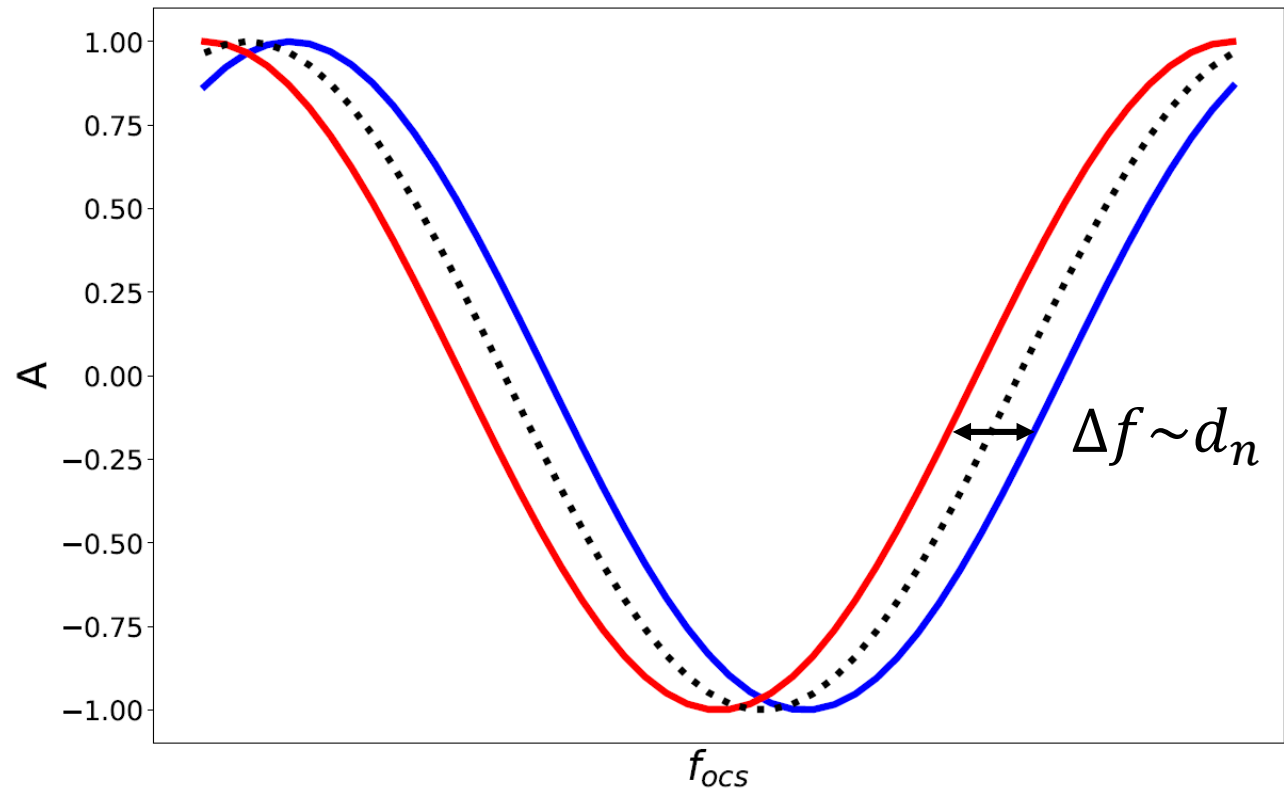
How to detect an EDM: Ramsey's method

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How to detect an EDM: Ramsey's method

$$A(f_{osc}) = \frac{(N_{\uparrow} - N_{\downarrow})}{(N_{\uparrow} + N_{\downarrow})}$$



Requirements for nEDM experiments with high sensitivity:



- Neutrons!

$$\sigma(d_n) = \frac{\hbar}{2\alpha ET\sqrt{N}}$$

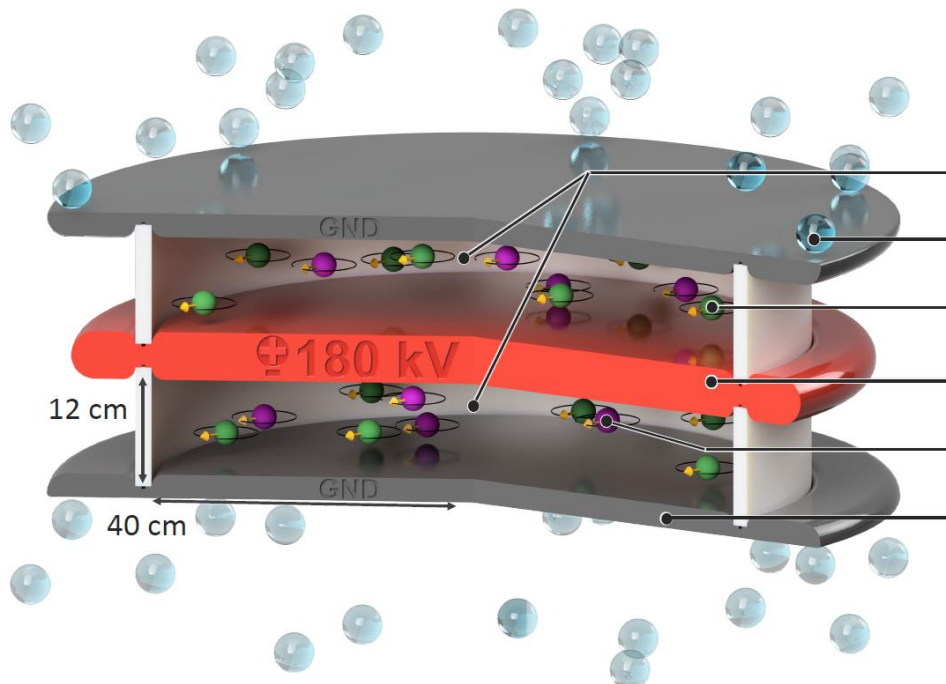
- High electric field

- Spin dependent neutron detection

- Precisely known and controlled magnetic fields

Neutrons @ n2EDM

- Neutrons!



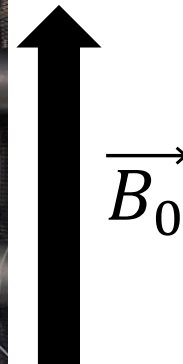
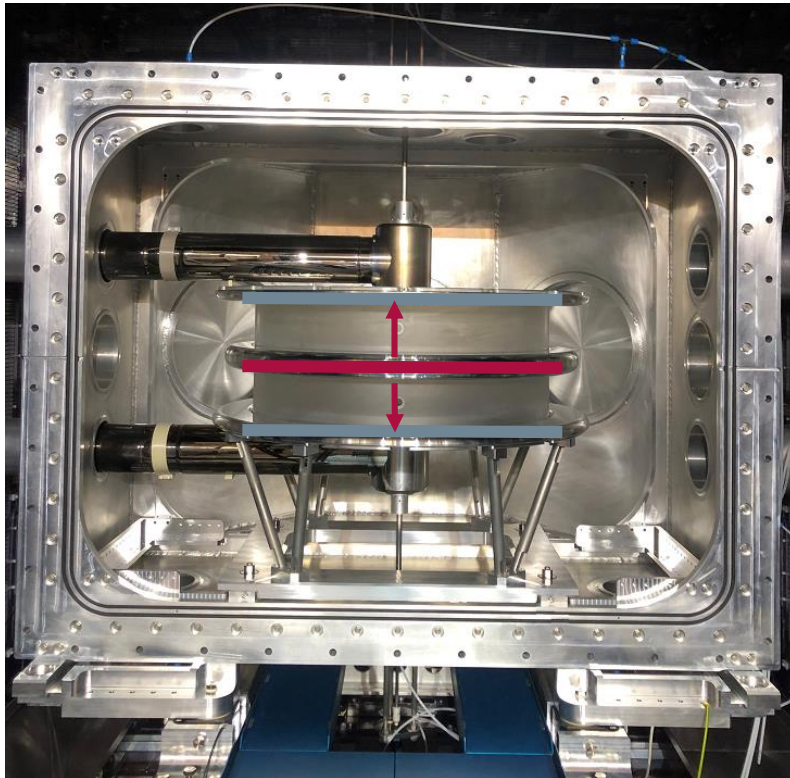
C. Doorenbos
15:00

- Ultracold neutrons (UCN)
- Produced via spallation + cooling
- < 300 neV
- 5 m/s
- Reflected off materials (storage possible!)

Electric field @ n2EDM

- High electric field + 2 orientations

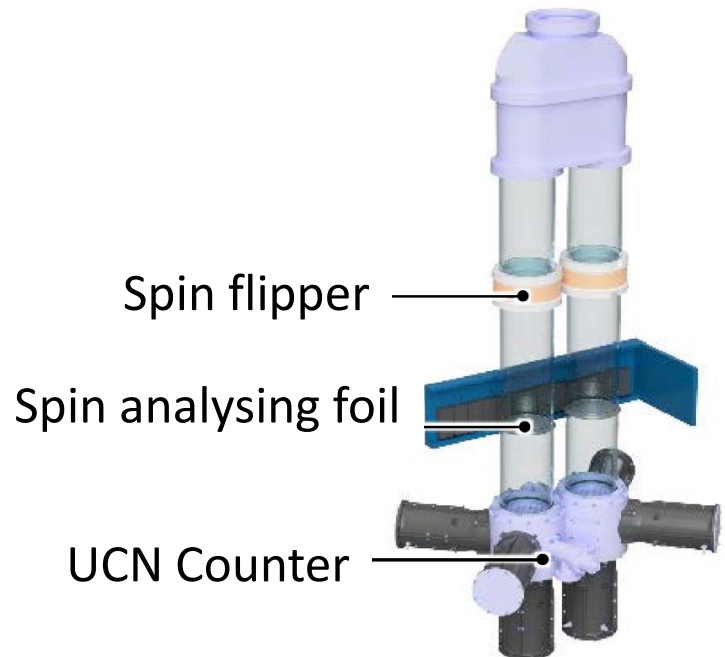
GND
HV
GND



- 1 HV electrode ($\pm 180\text{kV}$)
- 2 ground electrodes

Neutron detectors @n2EDM

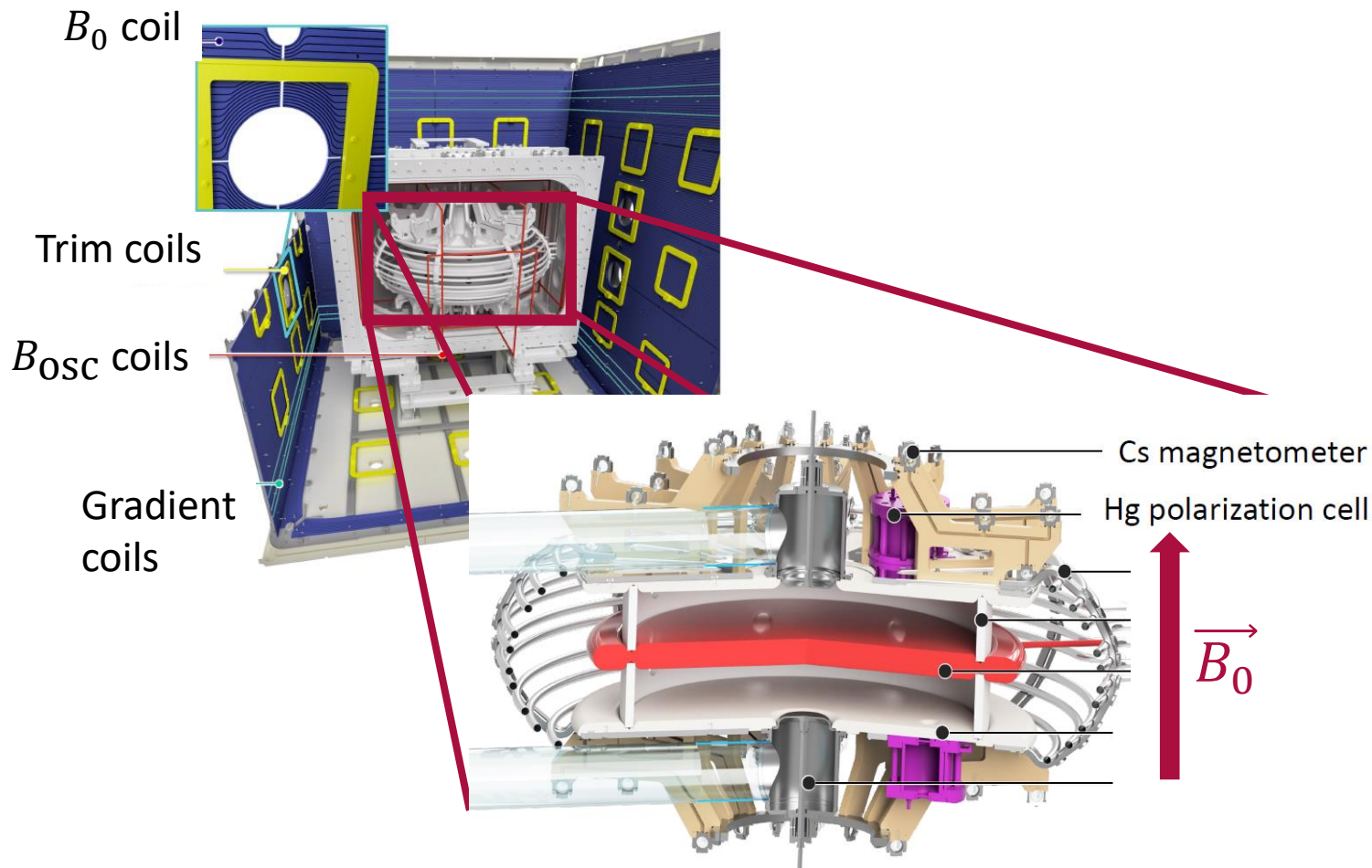
- Spin dependent neutron detection



- 2 Detectors per chamber
 1. Spin Up
 2. Spin Down
- Gaseous detector
- Capture neutrons:
$$n + {}^3\text{He} \rightarrow p + {}^3_0\text{H}$$
- Scintillation in CF_4

Magnetic field @ n2EDM

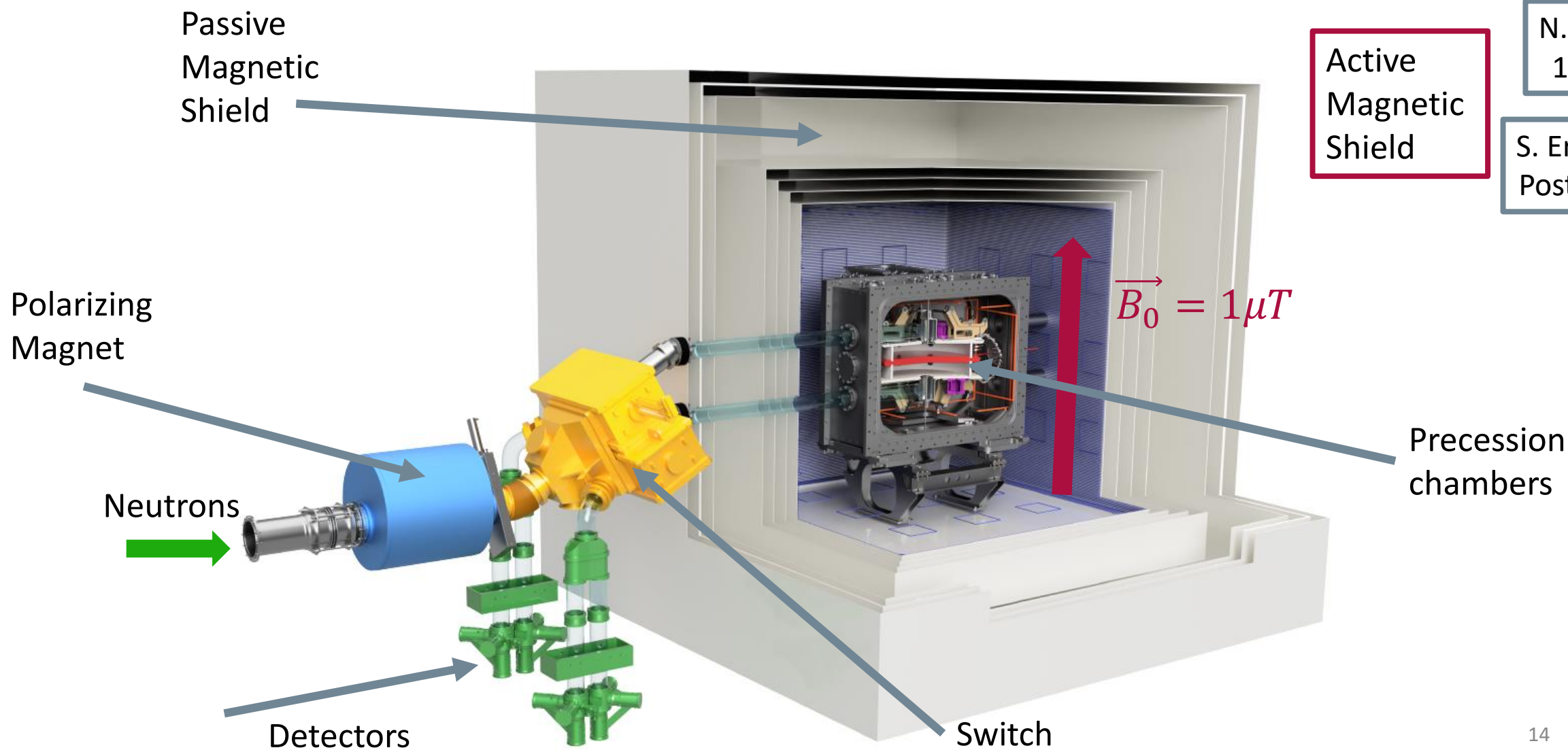
- Precisely known and controlled magnetic fields



- Passive magnetic shield
- Active magnetic shield
- B_0 coil + 56 trim coils
- 2 Magnetometry systems
 1. Hg co-magnetometer
 2. Cs array

W. Chen
14:45

The n2EDM experiment



Exciting times!



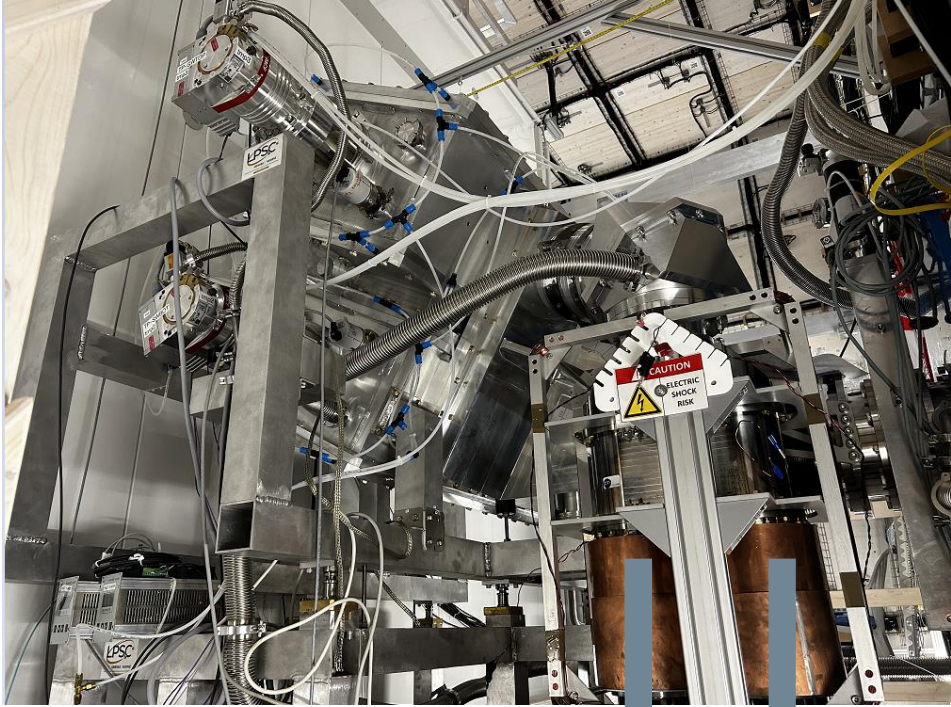
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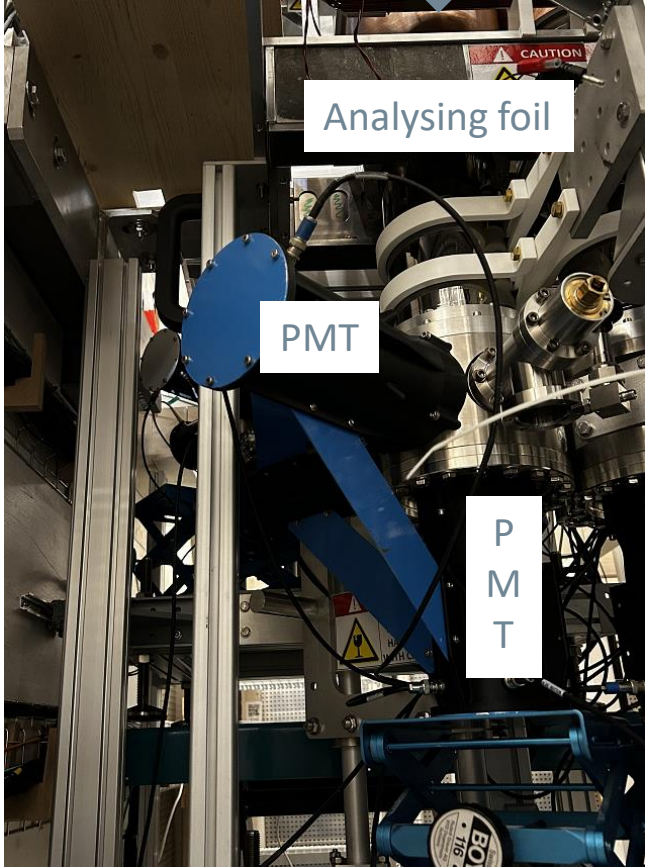
Top
Detector 1 Top
Detector 2

Exciting times!

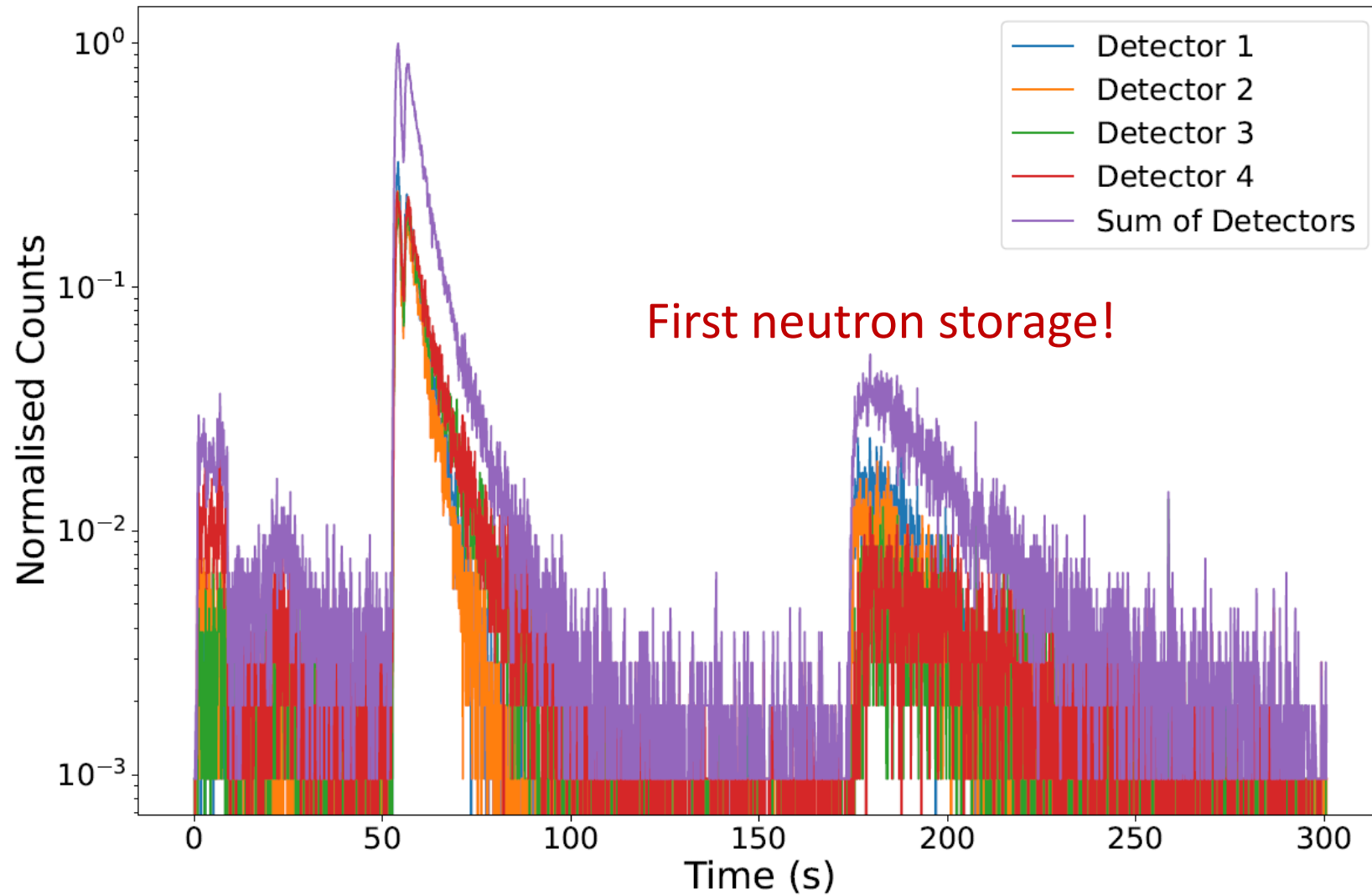
 n2EDM



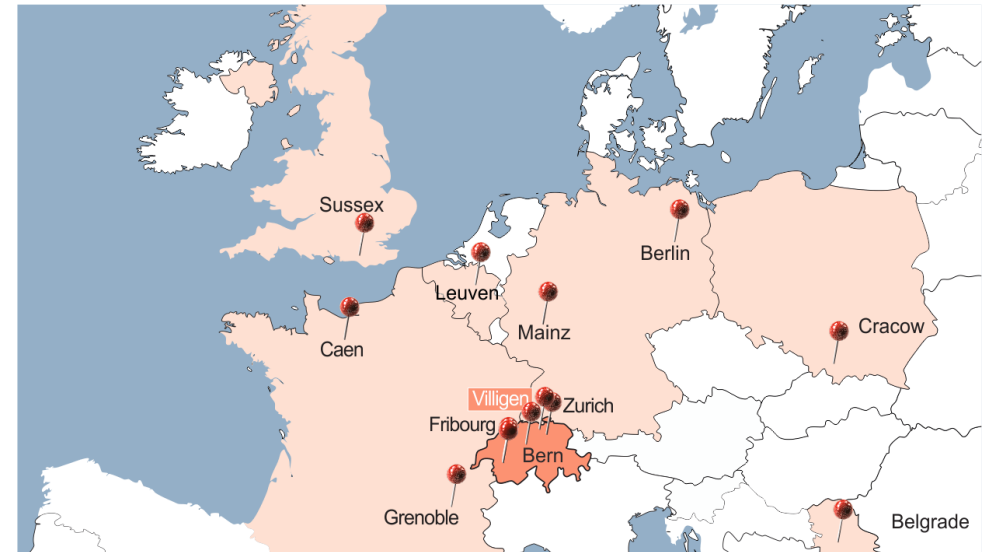
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Exciting times!



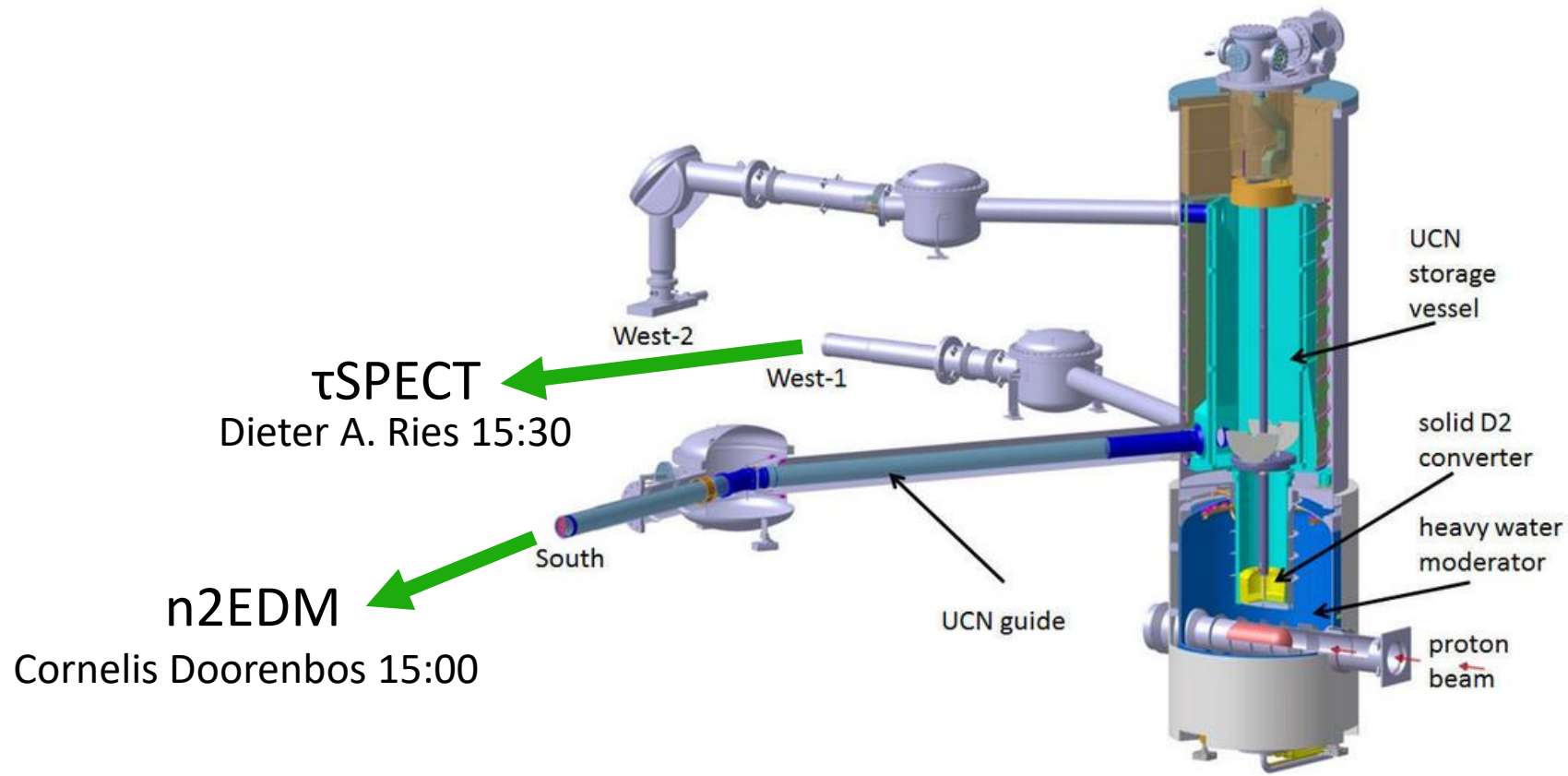
Thank you for your attention!



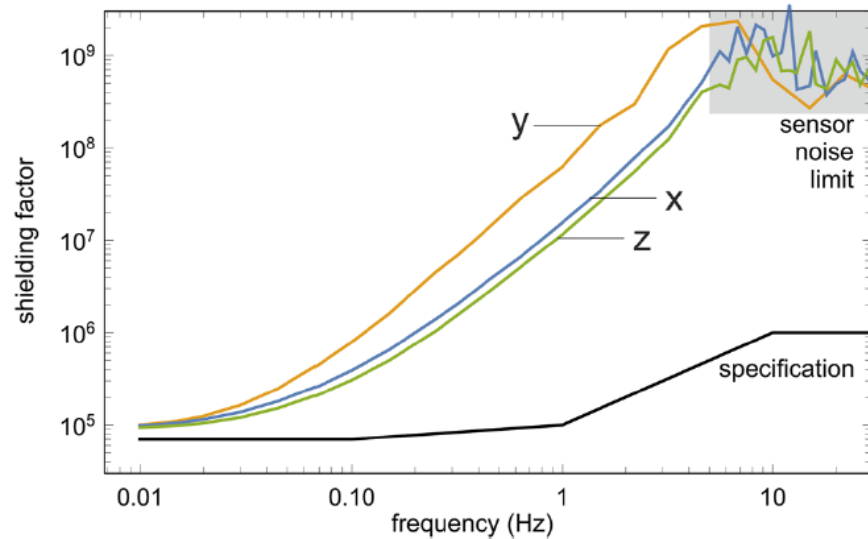


Additional Material

The UCN source @ PSI



Magnetically shielded room



Systematic effects


- We actually look at a ratio of frequencies!


$$\mathcal{R} = \frac{f_n}{f_{Hg}} = \left| \frac{\gamma_n}{\gamma_{Hg}} \right| (1 + \delta_{elec} + \delta_{mag} + \delta_{other})$$

Systematic effects

- We actually look at a ratio of frequencies!

$$\mathcal{R} = \frac{f_n}{f_{Hg}} = \left| \frac{\gamma_n}{\gamma_{Hg}} \right| (1 + \delta_{elec} + \delta_{mag} + \delta_{other})$$

$\delta_{EDM}^{true} + \delta_{EDM}^{false} + \delta_{quadratic}$ 

$\delta_{grav} + \delta_T$ 

False EDM effect

- Special relativity gives a motional magnetic field for particles moving in an electric field :

$$\vec{B}_m = \vec{E} \times \frac{\vec{v}}{c^2}$$

- If $\vec{B}_0 \neq$ uniform $\rightarrow d^{false}$ for neutrons and Hg comagnetometer
- d^{false} for neutrons and Hg are not the same due to different velocities and precession frequencies!
- This leads to Hg induced false nEDM [3]:

$$d_{n \leftarrow Hg}^{false} = - \left| \frac{\gamma_n}{\gamma_{Hg}} \right| d_{Hg}^{false}$$

- Gradient fields can be monitored and corrected, except if localized (e.g. dipole contaminations)!

Gravitational shift

- Systematic effects due to magnetic field non-uniformities:

$$\delta_{mag} = \delta_{grav} + \delta_T$$

- δ_{grav} (*gravitational shift*): Mercury and neutrons do not sample the same volume
- δ_T (*transverse shift*): residual magnetic fields \rightarrow fluctuating magnetic field for moving particles
 - Intrinsic depolarization
 - Shift in Larmor frequency

