



# Search for the muon Electric Dipole Moment at the PSI

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on behalf of the muEDM collaboration

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PAUL SCHERRER INSTITUT



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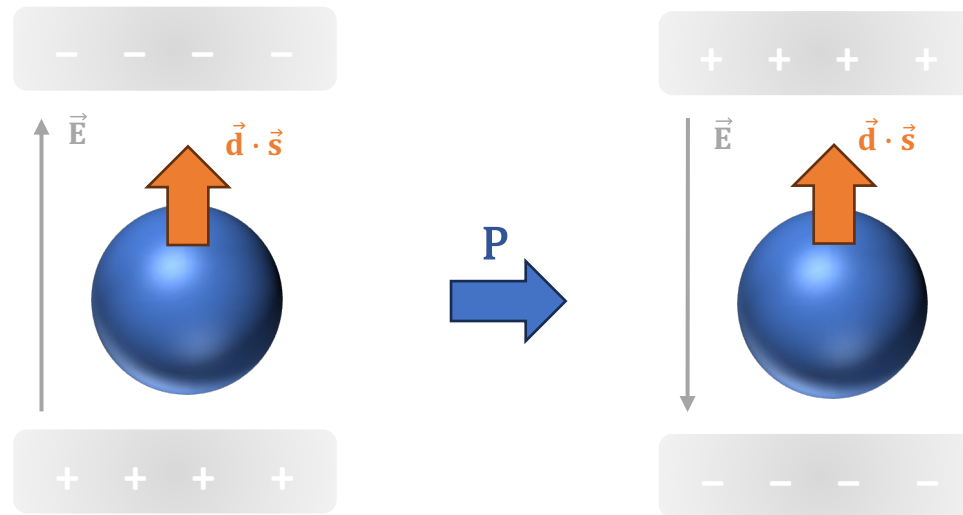
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# EDM and CP-violation

The Hamiltonian expressing the interaction of the particle's spin with the electric ( $\vec{E}$ ) and magnetic ( $\vec{B}$ ) field:

$$\hat{H} = -\vec{\mu} \cdot \vec{B} - \vec{d} \cdot \vec{E},$$

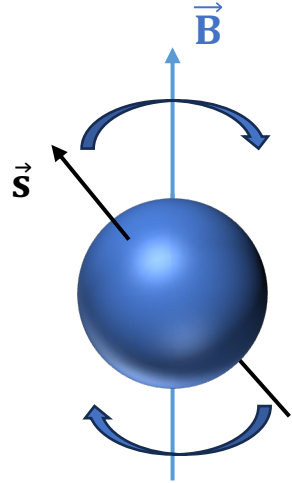
where  $\vec{\mu} = \frac{ge}{2m_\mu c} \vec{s}$ , the magnetic dipole moment and  $\vec{d} = \frac{\eta e}{2m_\mu c} \vec{s}$ , the electric dipole moment.



A non-zero particle EDM violates Parity (P) inversion symmetry, and assuming CPT invariance, violates also CP-symmetry.

# Spin motion of the muons in electric and magnetic fields

The spin of a static muon in the presence of a magnetic field will precess about the  $\vec{B}$  :



$$\frac{d\vec{s}}{dt} = \vec{\mu} \times \vec{B} = \vec{\omega}_L \times \vec{s},$$

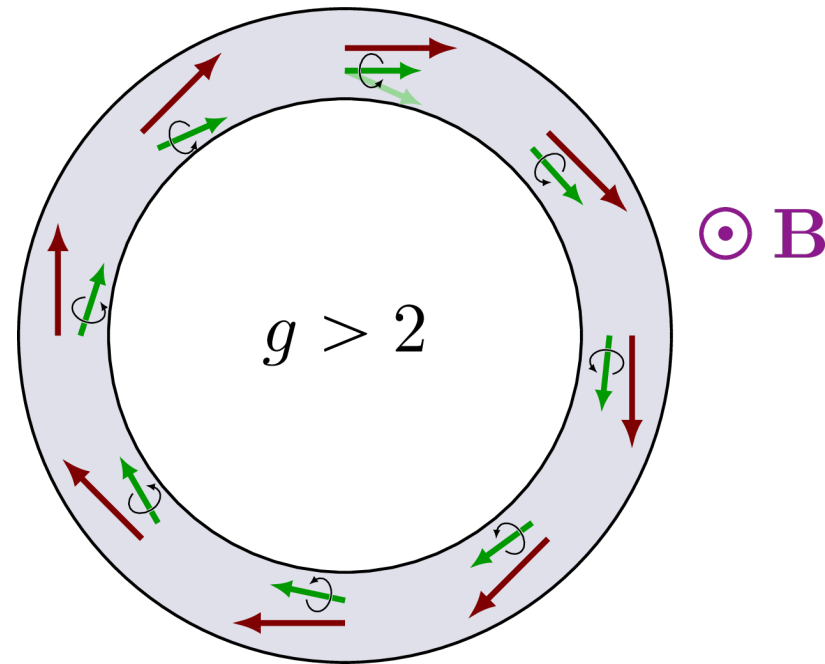
$$\vec{\mu} = \frac{ge}{2m_\mu c} \vec{s} \text{ magnetic dipole moment}$$

$$\vec{\omega}_L = \frac{-2\mu\vec{B}}{\hbar} \text{ Larmor precession frequency}$$

Likewise, a possible muon EDM,  $\vec{d} = \frac{\eta e}{2m_\mu c} \vec{s}$  would result in a spin precession,  $\vec{\omega}_d = \frac{-2d\vec{E}}{\hbar}$  in the presence of an  $\vec{E}$ .

# Spin motion of the muons in a storage ring

For a muon, with a magnetic dipole moment  $\vec{\mu} = \frac{ge}{2m_{\mu}c} \vec{S}$ , in a storage ring in the presence of a  $\vec{B}$  field, and an  $\vec{E}$  field steering the beam:

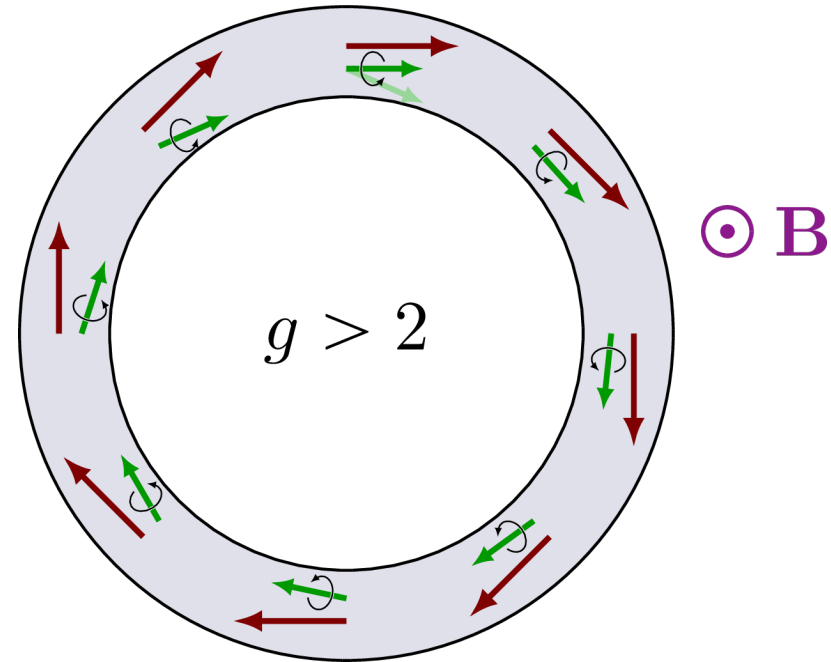


If  $g > 2$ , **spin** rotates faster than **momentum** due to anomalous magnetic moment  $a = \frac{g-2}{2}$ .



# Spin motion of the muons in a storage ring

For a muon in a storage ring in the presence of a  $\vec{B}$  field, and an  $\vec{E}$  field steering the beam:



Spin dynamics:  $\frac{d\vec{s}}{dt} = \vec{\omega}_0 \times \vec{s}$ , where  $\vec{\omega}_0 = -\frac{e}{m\gamma} \left\{ (1 + \gamma a) \vec{B} - \frac{a\gamma^2}{(\gamma+1)} (\vec{\beta} \cdot \vec{B}) \vec{\beta} - \gamma \left( a + \frac{1}{\gamma+1} \right) \frac{\vec{\beta} \times \vec{E}}{c} \right\}$  the Thomas precession frequency.

Acceleration:  $\frac{d\vec{\beta}}{dt} = \vec{\omega}_c \times \vec{\beta}$ , where  $\vec{\omega}_c = -\frac{e}{m\gamma} \left( \vec{B} - \frac{\gamma^2}{\gamma^2-1} \frac{\vec{\beta} \times \vec{E}}{c} \right)$  the cyclotron frequency.

# Muon spin precession in $\vec{E}$ and $\vec{B}$ field in the presence of an EDM

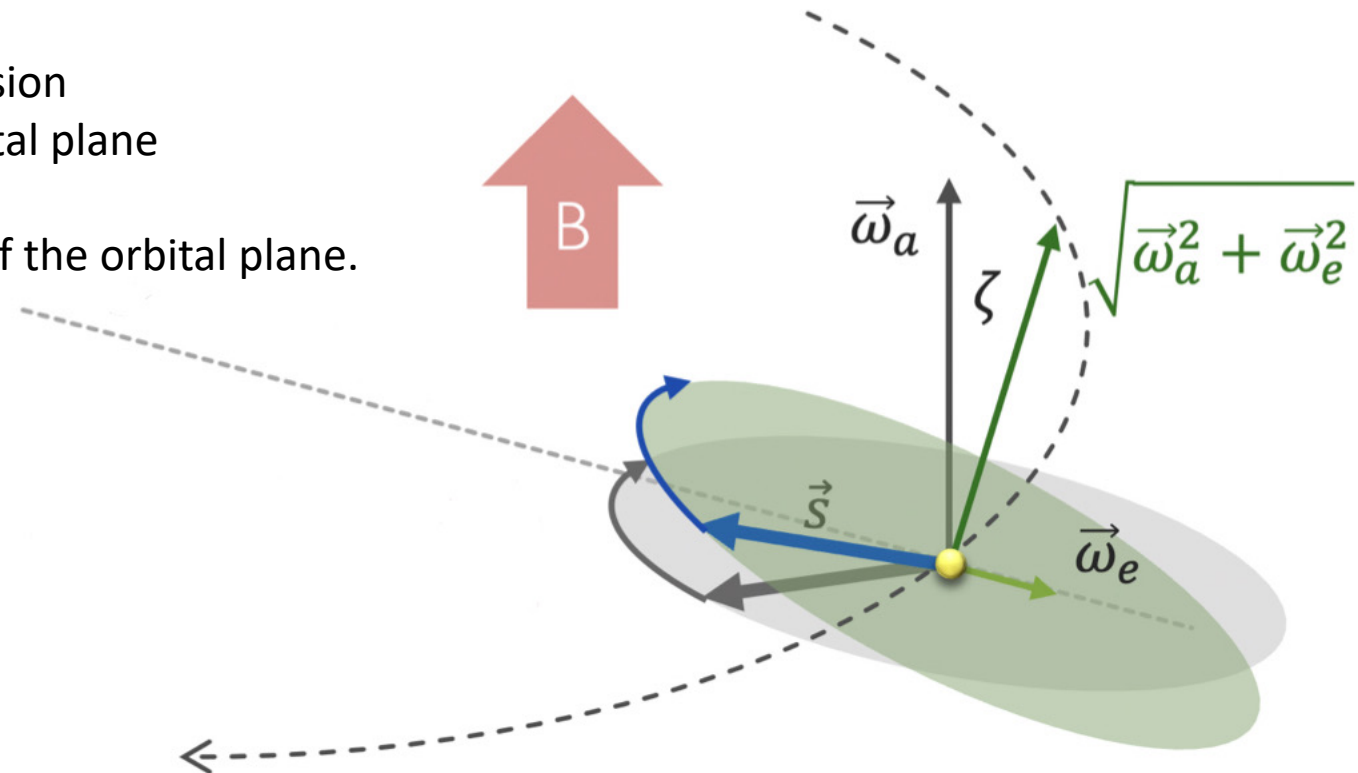
The muon spin precession in a storage ring with an  $\vec{E}$  and  $\vec{B}$  field, perpendicular to each other and to the muon momentum is:

$$\vec{\omega} = -\frac{e}{m} \left\{ \underbrace{a\vec{B} + \left(\frac{1}{1-\gamma^2} - a\right) \frac{\vec{\beta} \times \vec{E}}{c}}_{\vec{\omega}_a = \vec{\omega}_0 - \vec{\omega}_c} + \underbrace{\frac{\eta}{2} \left( \frac{\vec{E}}{c} + \vec{\beta} \times \vec{B} \right)}_{\vec{\omega}_e} \right\},$$

$\vec{\omega}_a$ : spin precession in the orbital plane, g-2 precession

$\vec{\omega}_e$ : spin precession due to an EDM, out of the orbital plane

A non-zero EDM results in a **tilted precession** out of the orbital plane.



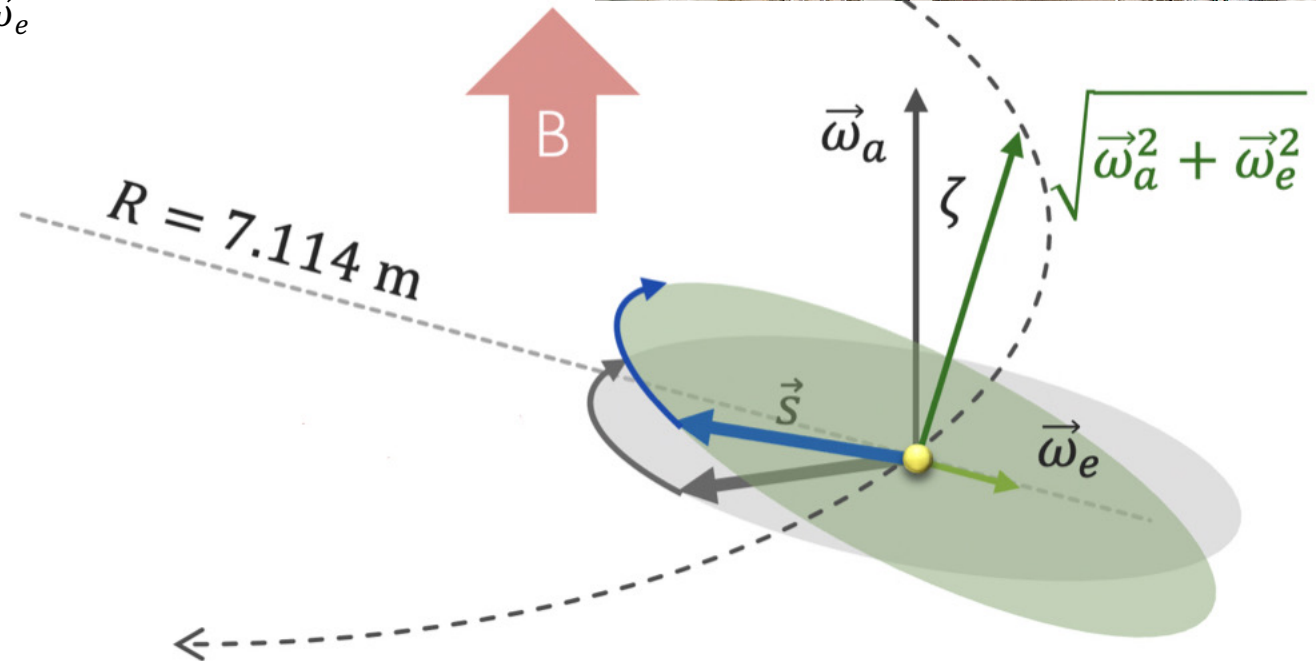
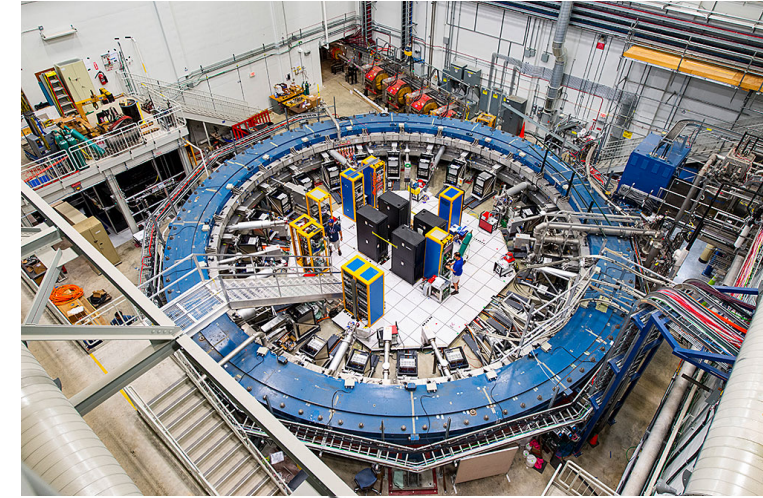
# Muon spin precession in $\vec{E}$ and $\vec{B}$ field, g-2 experiment

At the g-2 storage ring experiment E821 at BNL used a "magic momentum" of  $\vec{p}_{\text{magic}} \sim 3.1 \text{ GeV}/c$ , such that it cancels:

$$\vec{\omega} = -\frac{e}{m} \left\{ \underbrace{a\vec{B} + \left( \frac{1}{1-\gamma^2} - a \right) \frac{\vec{\beta} \times \vec{E}}{c}}_{\vec{\omega}_a} + \underbrace{\frac{\eta}{2} \left( \frac{\vec{E}}{c} + \vec{\beta} \times \vec{B} \right)}_{\vec{\omega}_e} \right\}$$

There is a vertical oscillation with a frequency  $\vec{\omega}_e$  and an amplitude proportional to the muon EDM.

Sensitivity :  $d\mu < 1.8 \times 10^{-19} \text{ e} \cdot \text{cm}$



# The frozen-spin technique

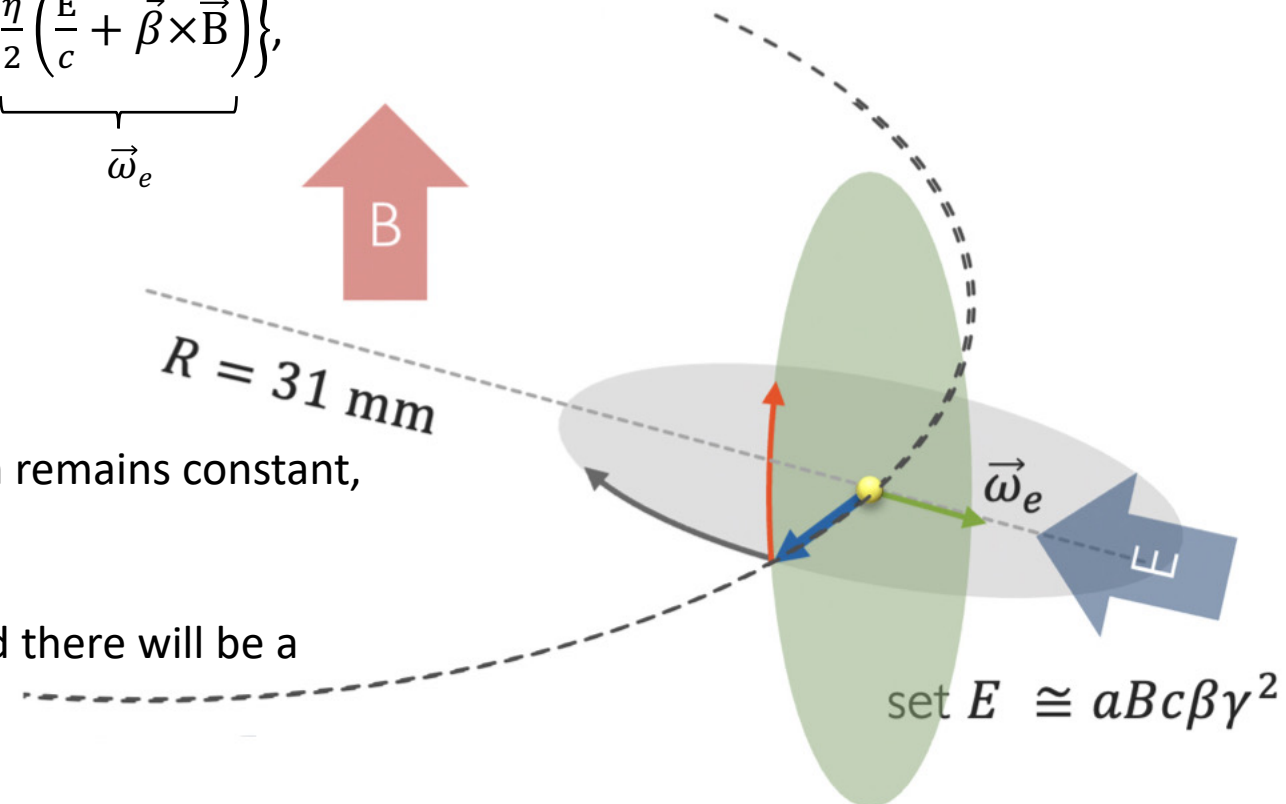
Based on the frozen-spin technique we are choosing a radial electric field such that to cancel the precession due to the anomalous moment:

$$\vec{\omega} = -\frac{e}{m} \left\{ \underbrace{a\vec{B} + \left(\frac{1}{1-\gamma^2} - a\right) \frac{\vec{\beta} \times \vec{E}}{c}}_{\vec{\omega}_a} + \underbrace{\frac{\eta}{2} \left(\frac{\vec{E}}{c} + \vec{\beta} \times \vec{B}\right)}_{\vec{\omega}_e} \right\},$$

This radial electric field is  $E_f \approx aBc\beta\gamma^2$ .

The relative angle between the momentum and the spin remains constant, “frozen”, if  $\eta = 0$  (no EDM).

In the presence of a muon EDM the spin will precess and there will be a longitudinal build-up of the polarization.

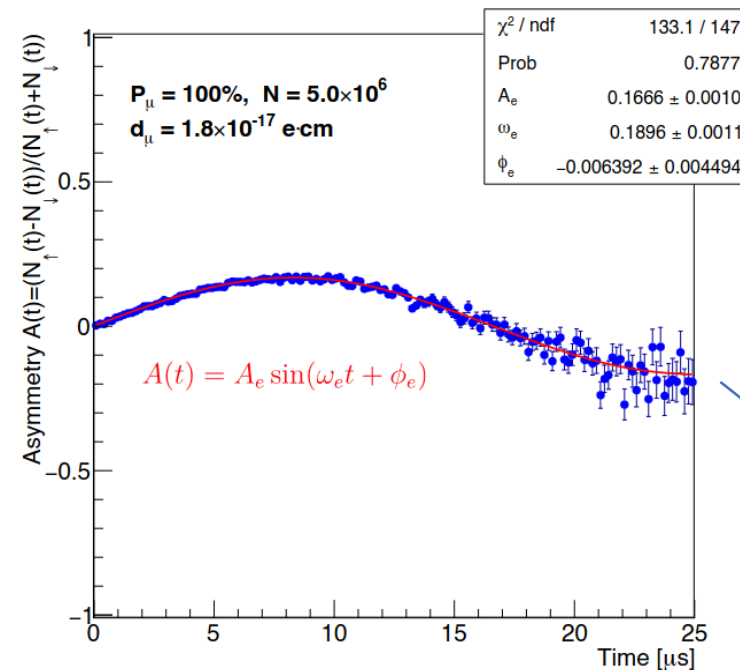
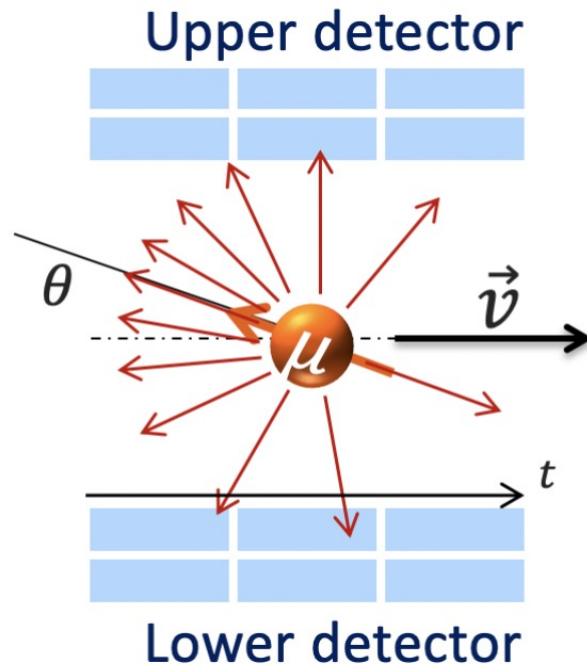


# The muEDM experimental base

Measuring the increasing positron decay asymmetry,  $A(t)$ , as a function of time.

☐  $A(t)=0$  → spin parallel to the momentum → muon EDM=0

☐  $A(t) \neq 0$  → vertical precession out of the orbital plane\* → muon EDM  $\neq 0$



$$A = \frac{N_u - N_d}{N_u + N_d}$$

compute statistical  
sensitivity from  $A(t)$   
slope

\*For other effects that lead to false EDM signals:

➤ C.Dutsov session, "Systematic effects in the search for the muon EDM using the frozen-spin method"

# The muEDM statistical sensitivity

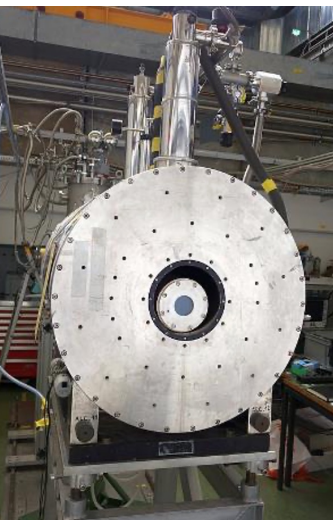
The frozen-spin technique profits from the build-up of the phase  $\vec{\omega}_e t$  to achieve a high statistical sensitivity.

$$\sigma(d_\mu) = \frac{a\hbar\gamma}{2P_0 E_f \sqrt{N} \tau_\mu A}$$

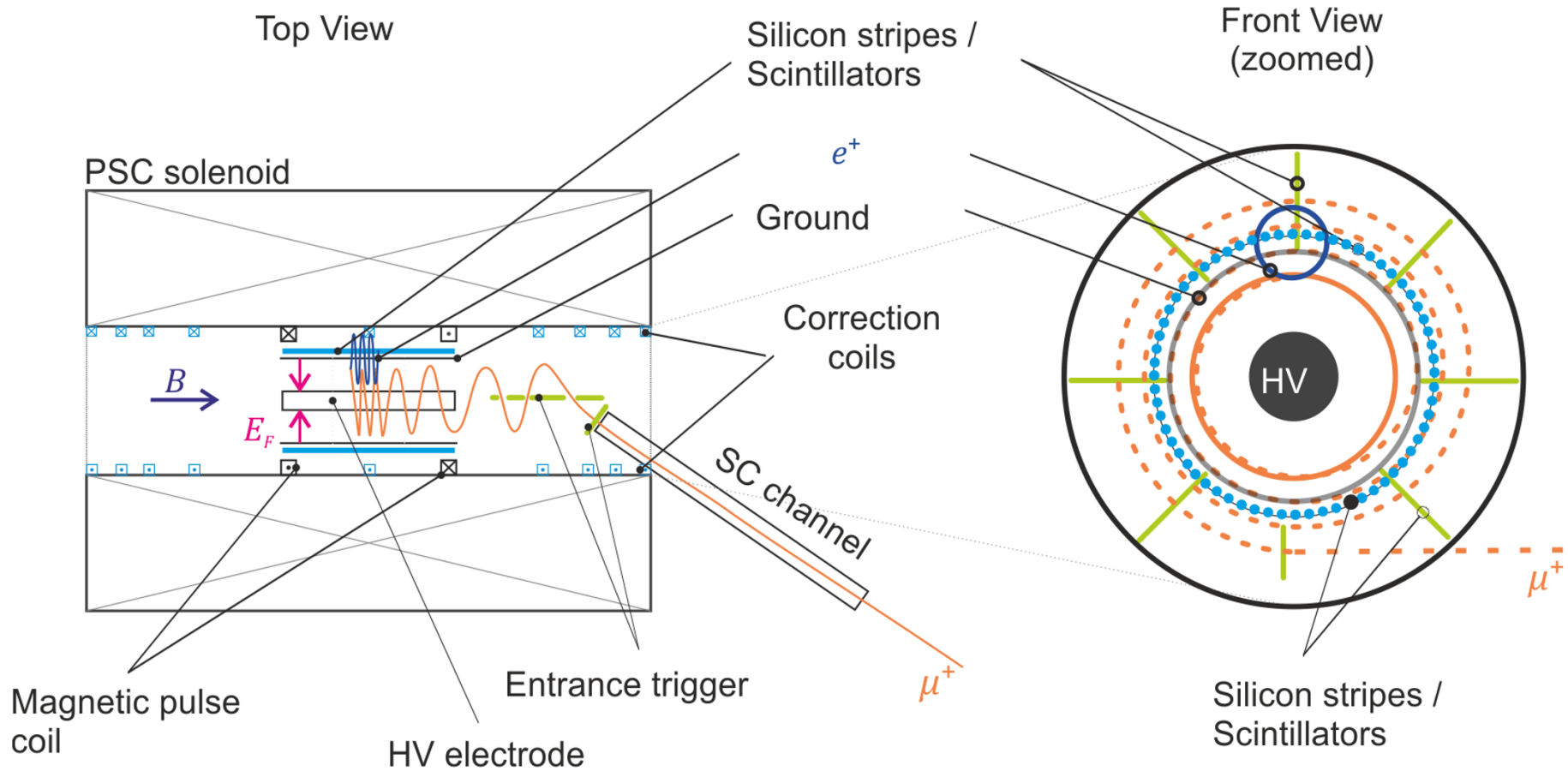
The muEDM experiment is split into two phases, Phase 1 and 2.

Phase	1	2
Muon momentum (MeV/c)	28	125
Muon flux density ( $\mu^+$ /s)	$4 \times 10^6$	$1.2 \times 10^8$
Sensitivity in a year (e·cm)	$< 3 \times 10^{-21}$	$< 6 \times 10^{-23}$

# Breakdown of the muEDM experiment, Phase 1

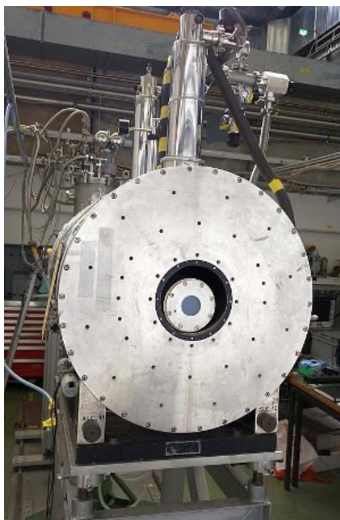


3 T storage solenoid  
Bore Diam. 200 mm  
Length 1000 mm

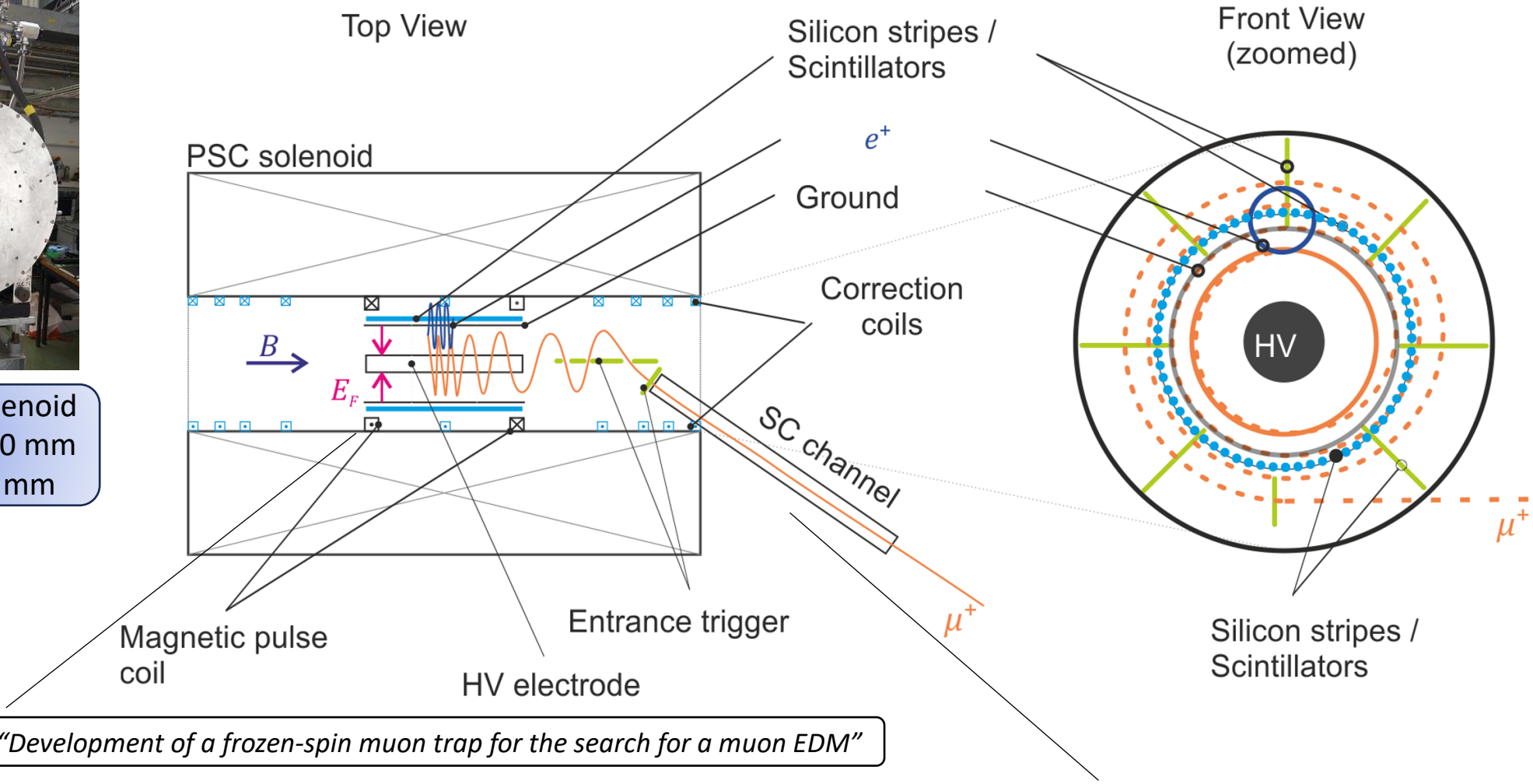




# Breakdown of the muEDM experiment, Phase 1



3 T storage solenoid  
Bore Diam. 200 mm  
Length 1000 mm



*T.Hume session, "Development of a frozen-spin muon trap for the search for a muon EDM"*

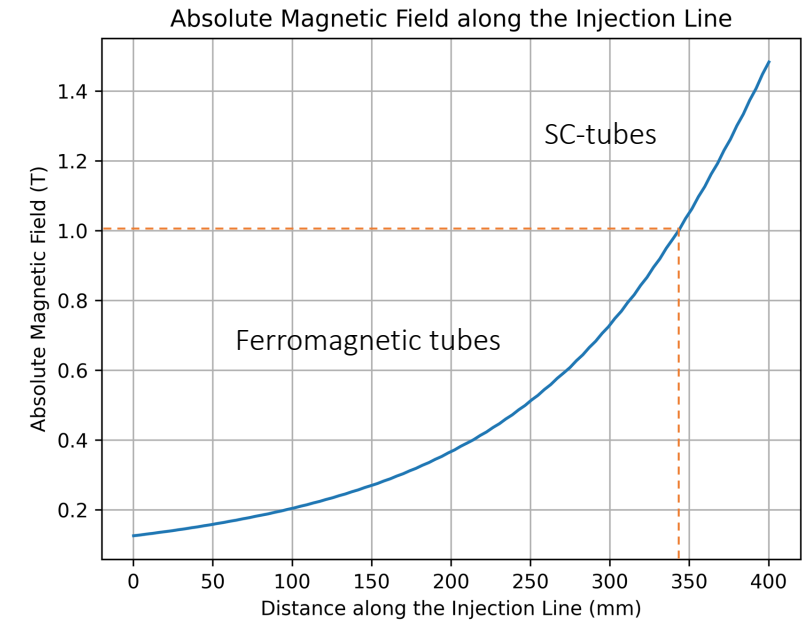
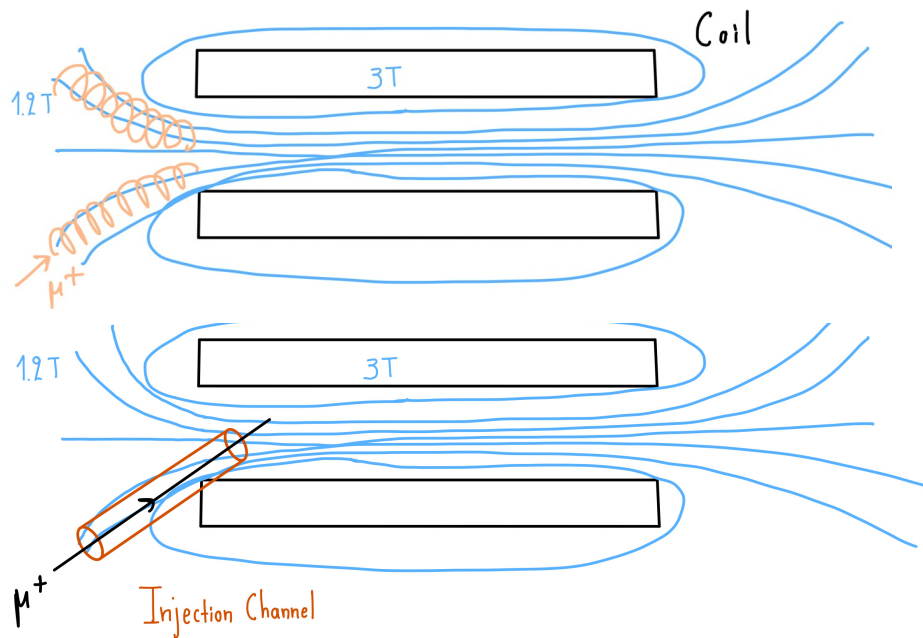
*R.Chakraborty session, "Optimization of muon EDM experimental setup using simulations"*



# The injection channel

The muons encounter various magnetic field strengths as they are approaching the bore of the magnet.

On the right, we see the absolute magnetic field that the muons encounter along the injection line towards the magnet.



These varying field strength introduce challenges for the muon transportation:

- Muons transported from a low-field (fringe field < 1T) to a high-field region (solenoid ~ 3T), muons will spiral in and back out (Magnetic Mirror Effect).

# Magnetically shielded channel

We develop a magnetically shielded channel to protect the muons from external field variations, and it consist of:

- Thick ferromagnetic tubes, for the low magnetic fringe field region ( $<1\text{T}$ )
- Superconducting (SC) shielded tubes, for the high field region (1-1.4T)

Develop and test three SC-shielded prototypes:

Prototype I: High-Temperature Superconducting (HTS) Tape, helically coiled around a copper tube

Prototype II: Copper tubes wrapped with Nb-Ti/Nb/Cu SC-Sheets

Prototype III: Combination of a Bi-2223 cast tube possibly reinforced with superconducting “ribbons”

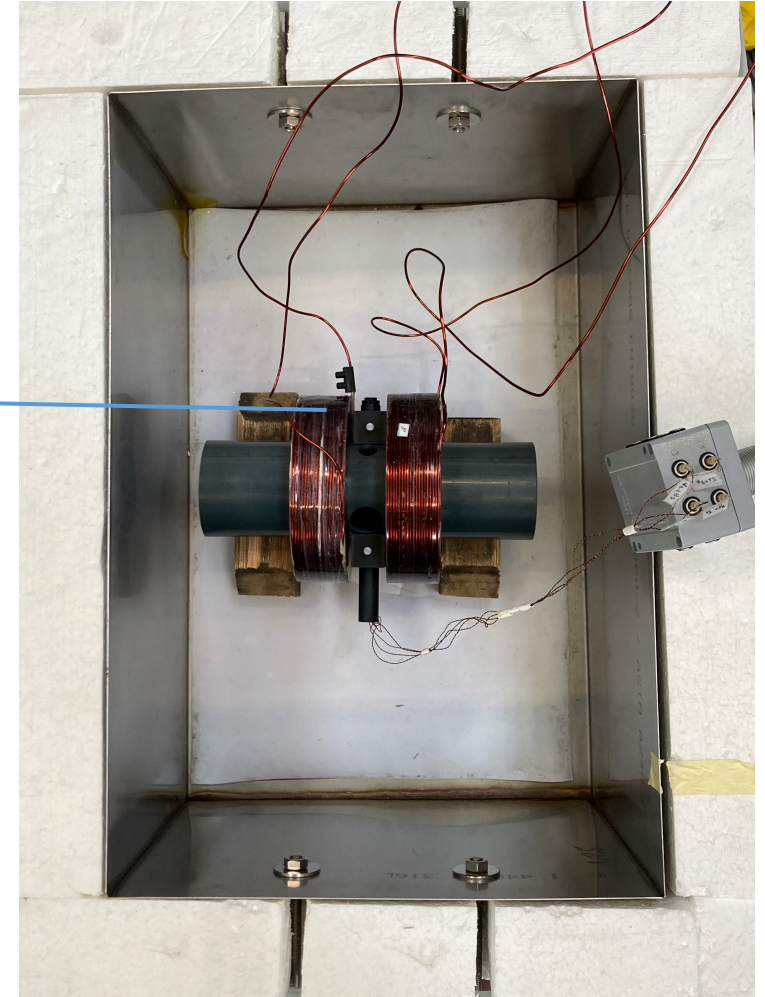


# Testing SC-shielded prototypes

Testing the superconductive properties of a Bi-2223 tube, with a Helmholtz coil pair of 100 mT, in a 77K cryogenic bath.



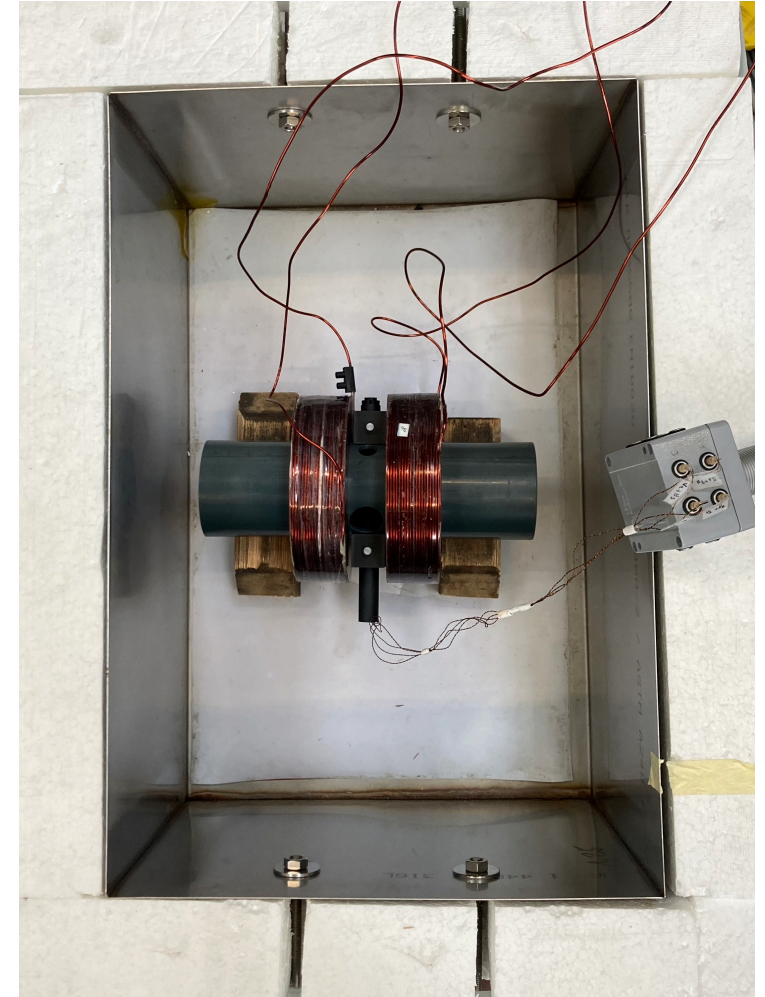
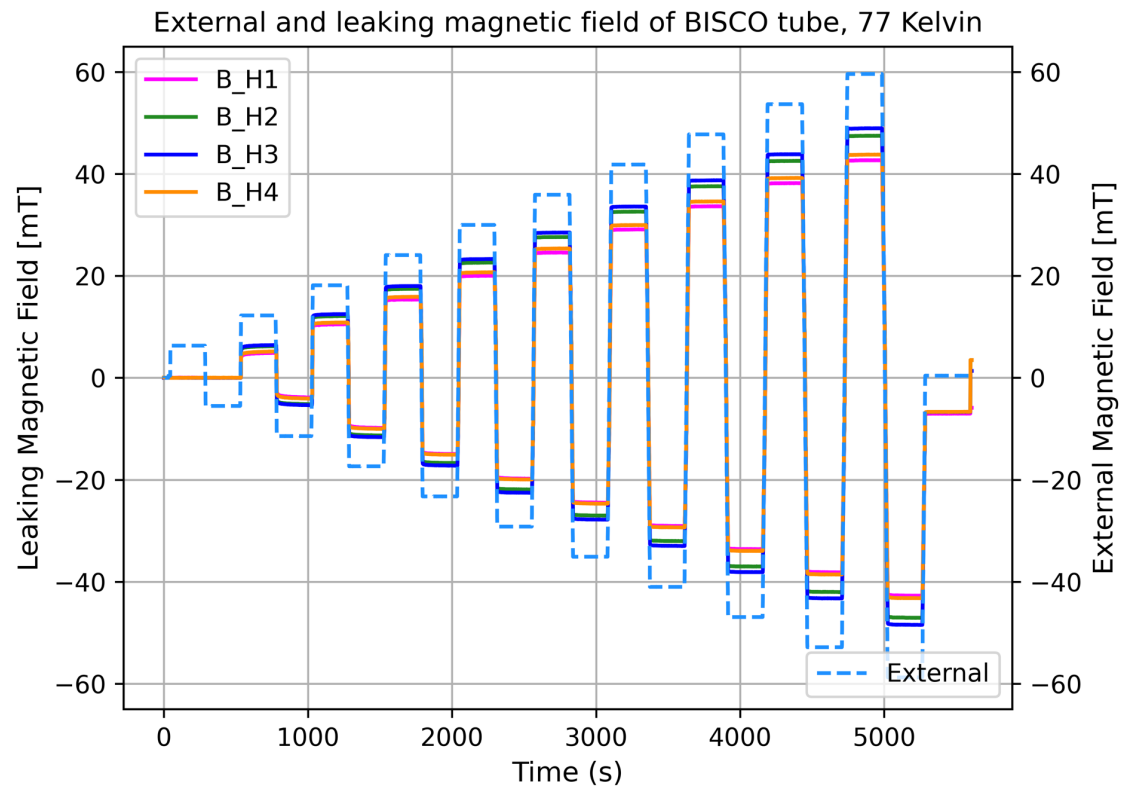
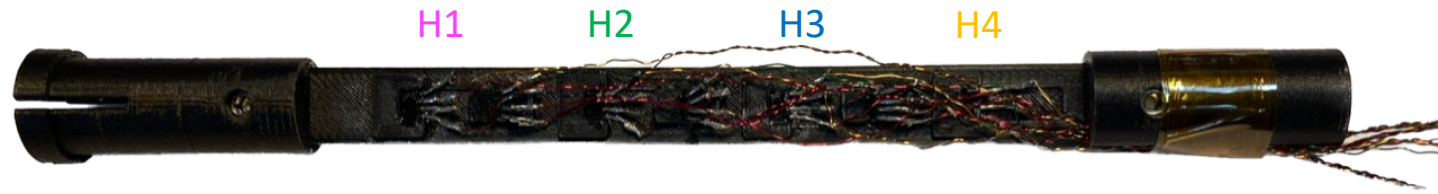
Bi-2223 tubes (BiPbSrCaCuO)  
Critical Temperature 105-110 K  
ID : 15mm  
OD: 18.5mm  
L: 200mm  
Wall Thickness: 1.6-1.8 mm



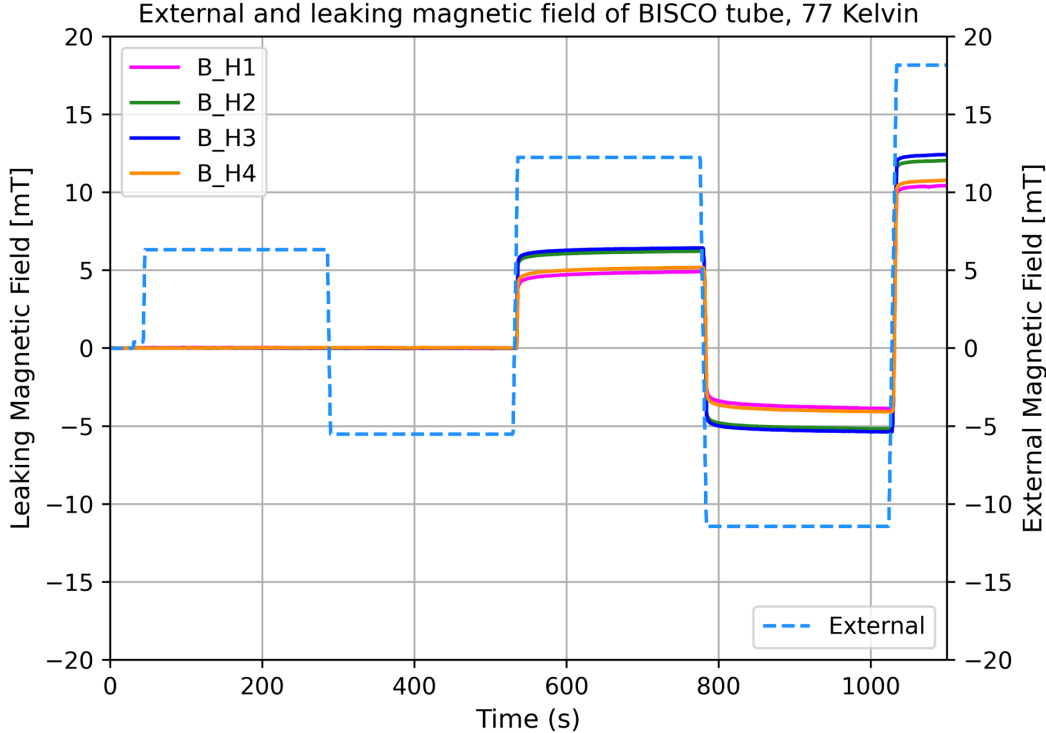


# Testing SC-shielded prototypes

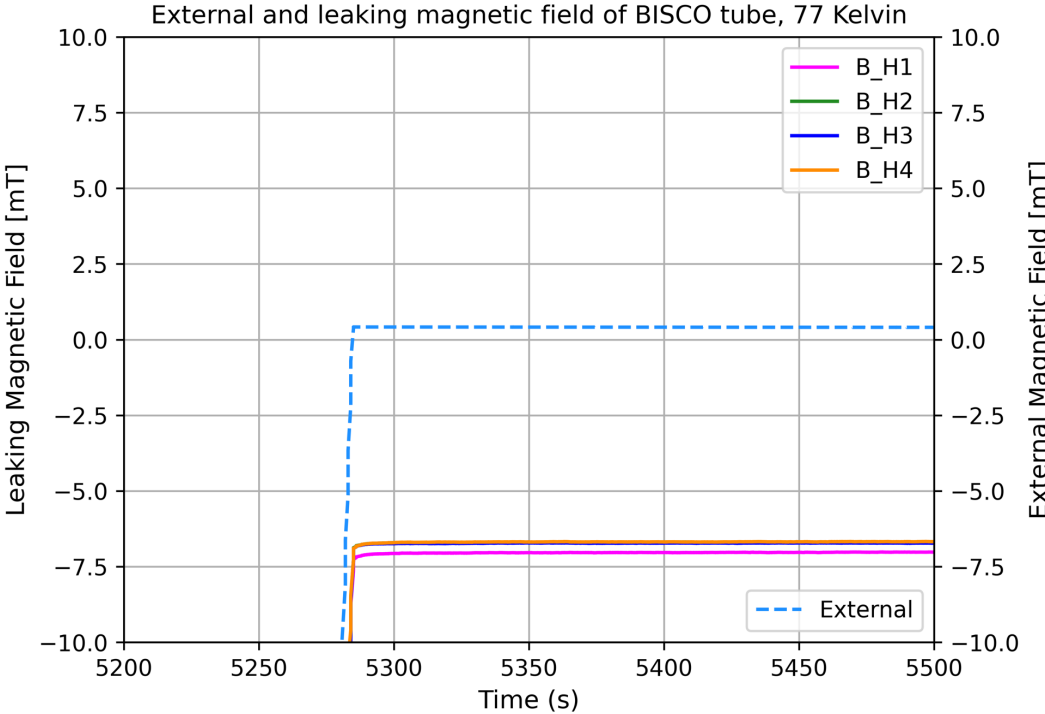
Testing the superconductive properties of a Bi-2223 tube, with a Helmholtz coil pair of 100 mT, in a 77K cryogenic bath.



# Testing SC-shielded prototypes, signs of superconductivity



✓ Full shielding of at least 6 mT external magnetic field

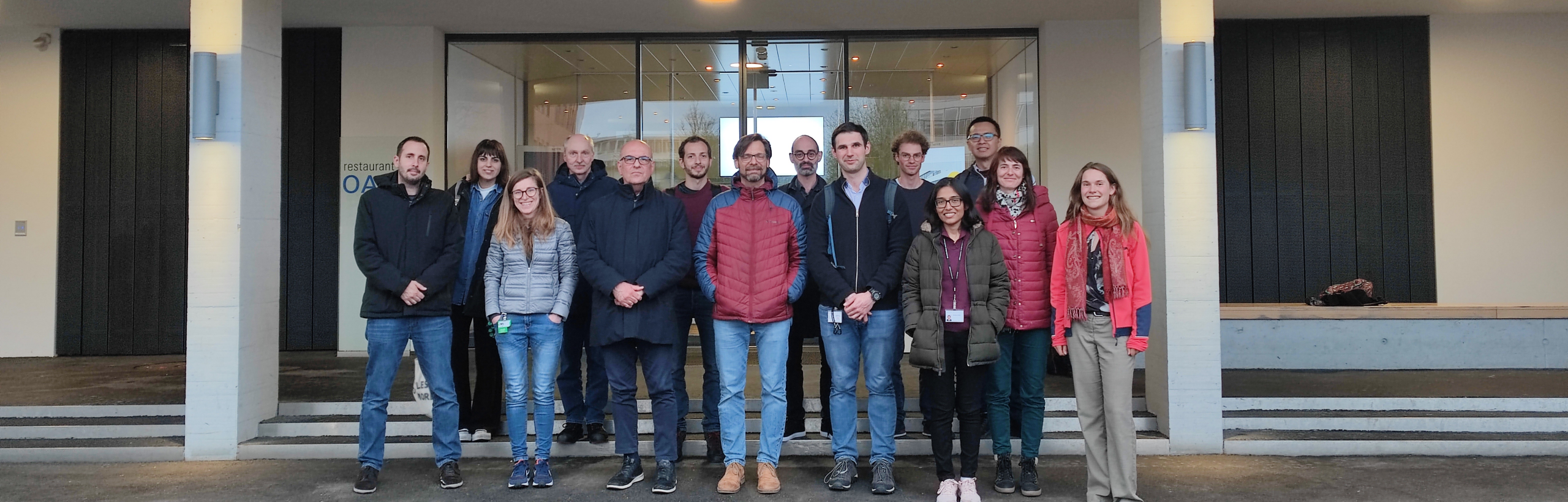


✓ Hysteresis effect

# Conclusions and Outlook

- A dedicated experiment to search for the muon EDM is setup at PSI.
- The muEDM is based on a novel technique, called frozen-spin technique.
- The first experimental phase will test the frozen-spin technique, and after optimizations, will lead to the second phase with high sensitivity of  $d\mu < 6 \times 10^{-23} e \cdot \text{cm}$ .
- A magnetically shielded channel is needed for the injection of muons from the exit of the beamline to a 3T storage solenoid.
- Underway development and testing of SC-shielded prototypes as part of the injection channel.





on behalf of the muEDM collaboration

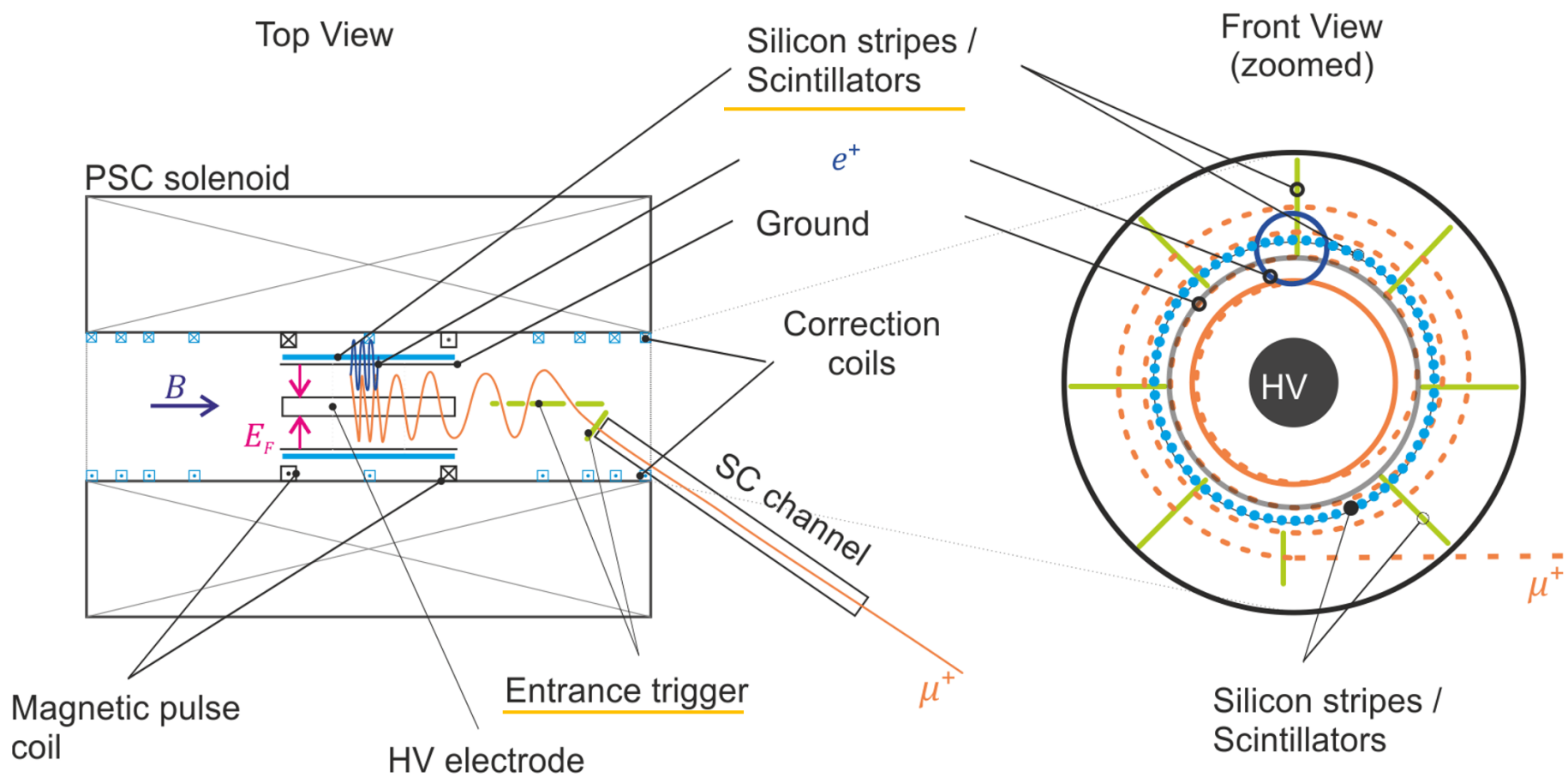


Thank you for your attention!

# Backup Slides



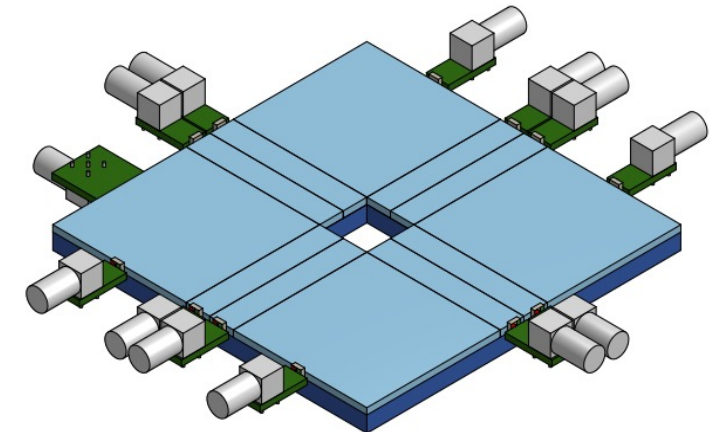
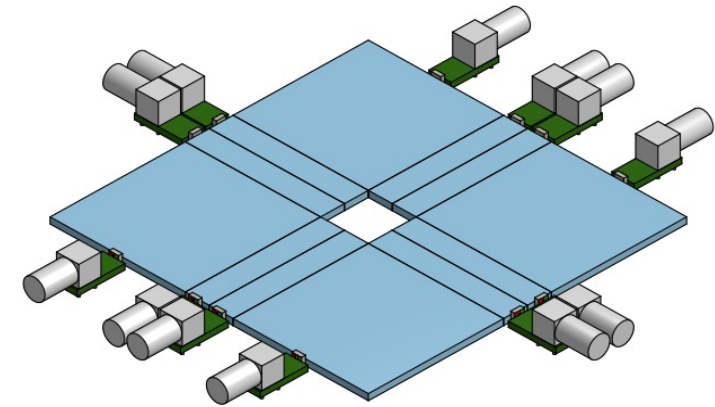
# Breakdown of the muEDM experiment, the detectors



# Muon entrance monitor

Purpose: Focus muon beam onto opening of injection channel

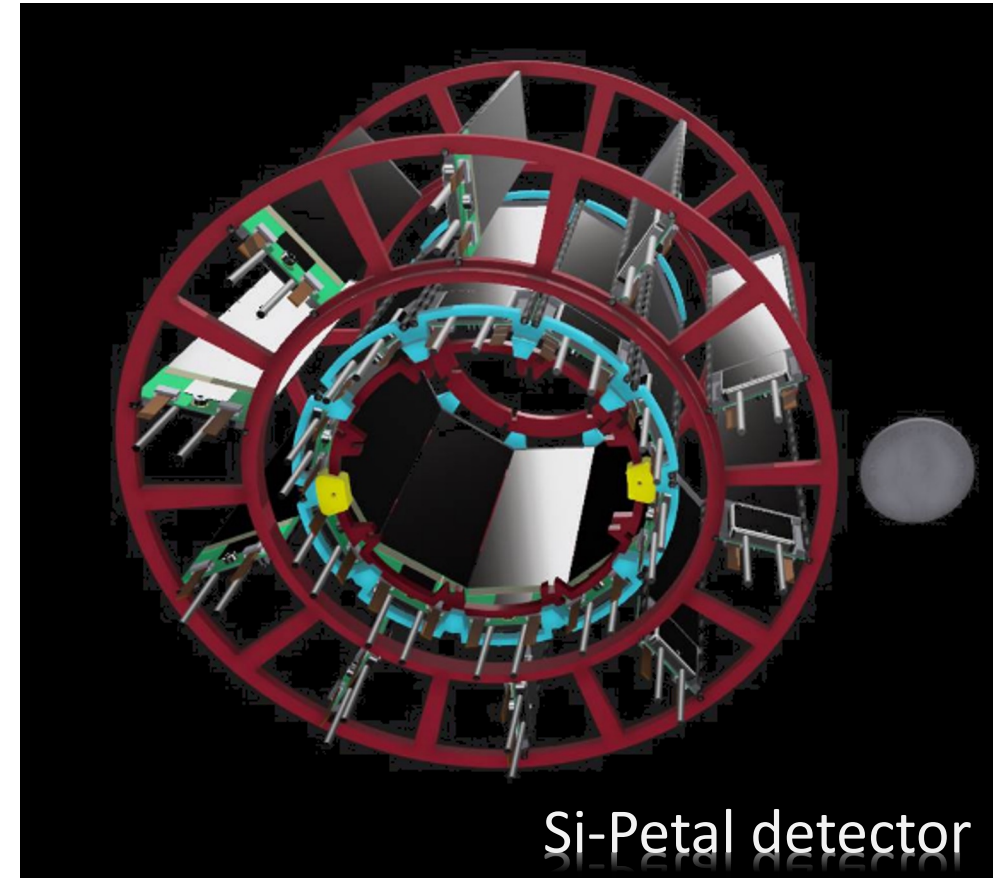
- ✓ Scintillator tiles coupled to SiPMs
- ✓ Hole in center to let muon beam pass
- ✓ Front tile thickness 1-2 mm to stop surface muons
- ✓ A thicker (up to ~5 mm) scintillator layer could be added to better discriminate muons and positrons



# Silicon strip detector

Silicon strip detector for g-2 detection.

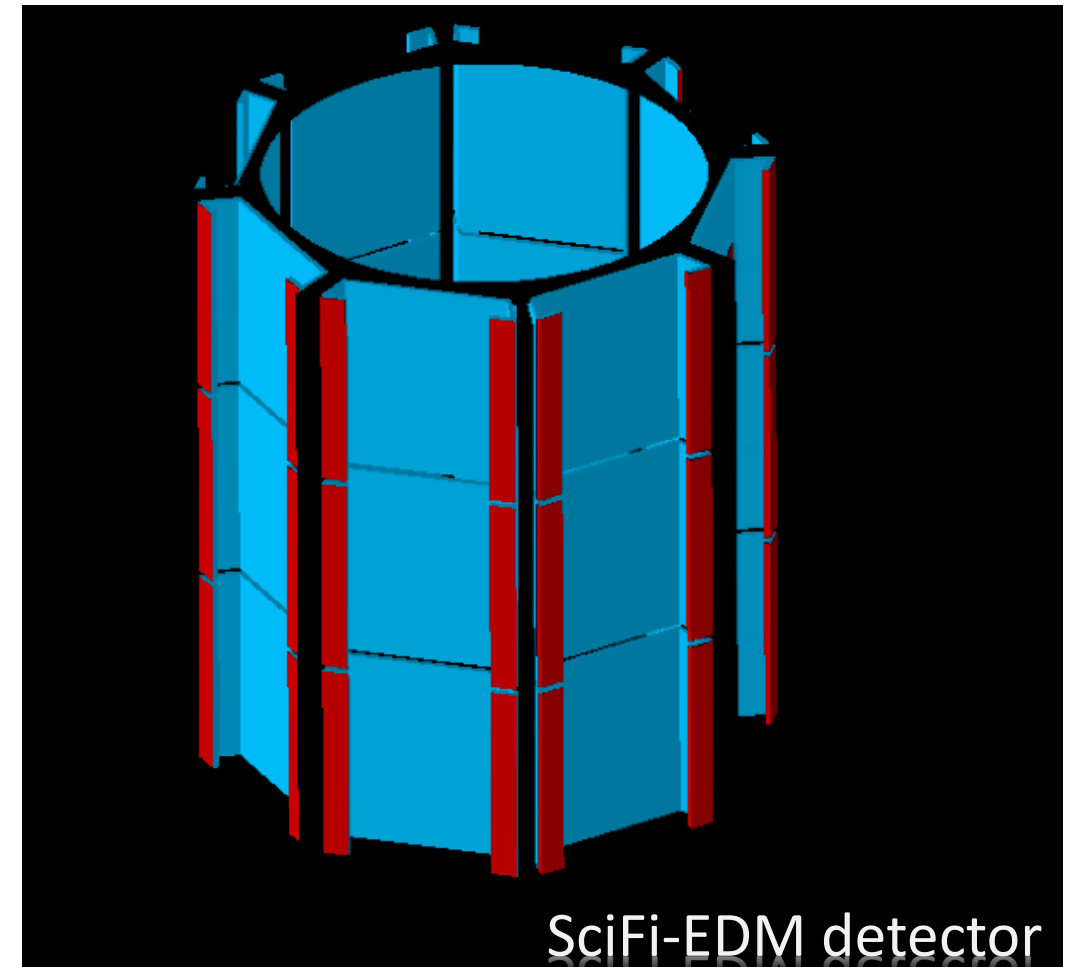
- ✓ Reconstruction of transverse positron momentum ( $\Delta p \approx 5\text{MeV}/c$ )
- ✓ Timing  $\Delta t \approx 2\text{ns}$
- ✓ Spatial resolution  $\approx 0.1\text{mm}$  (lateral)



# Scintillating fiber detector

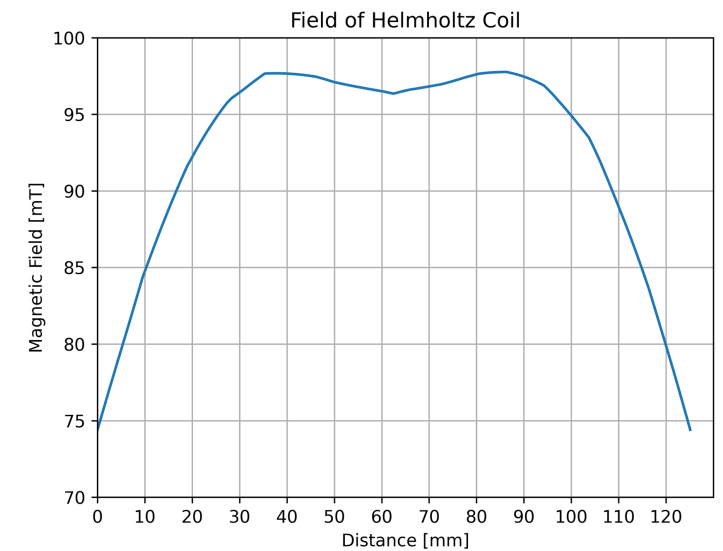
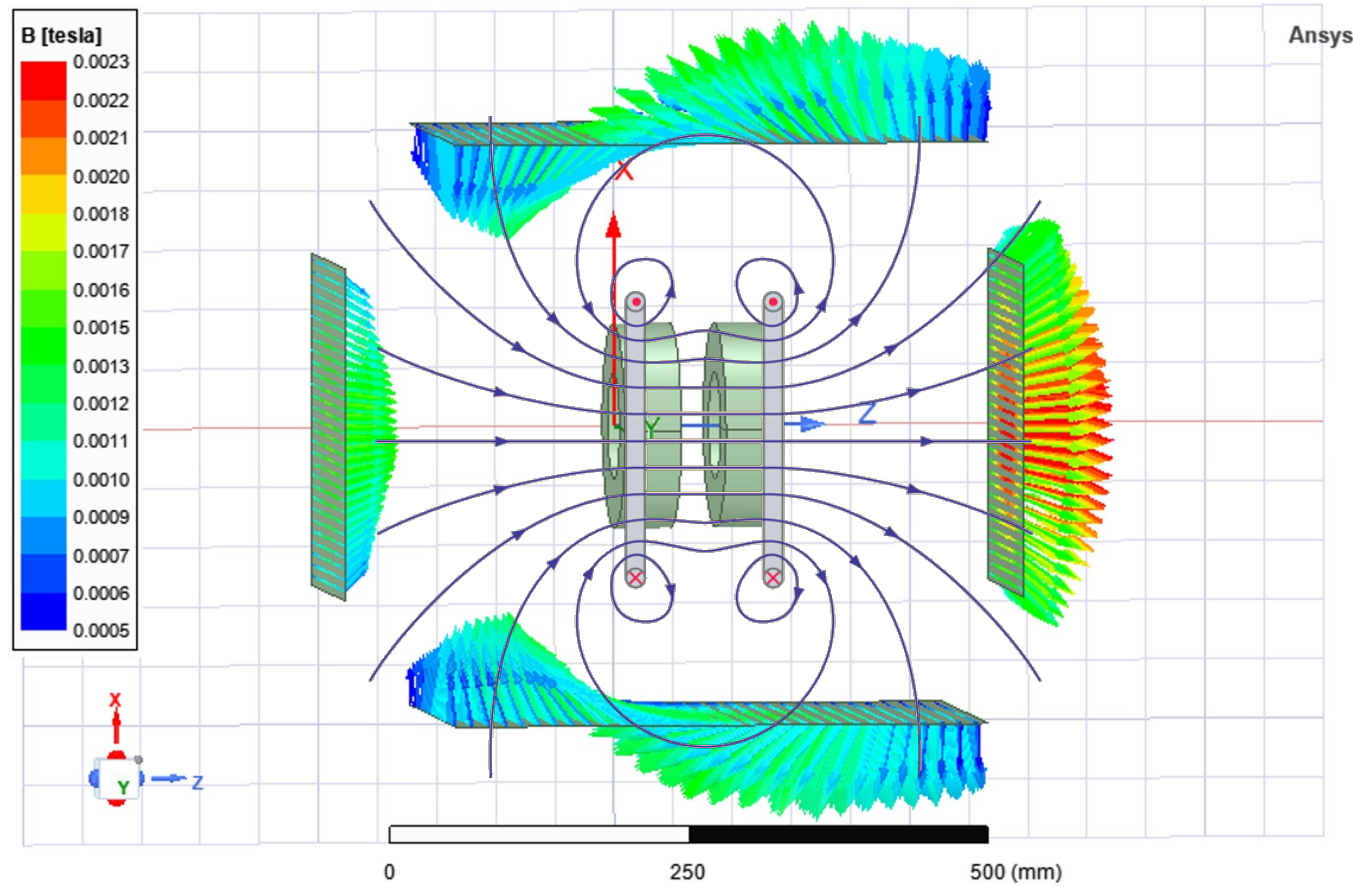
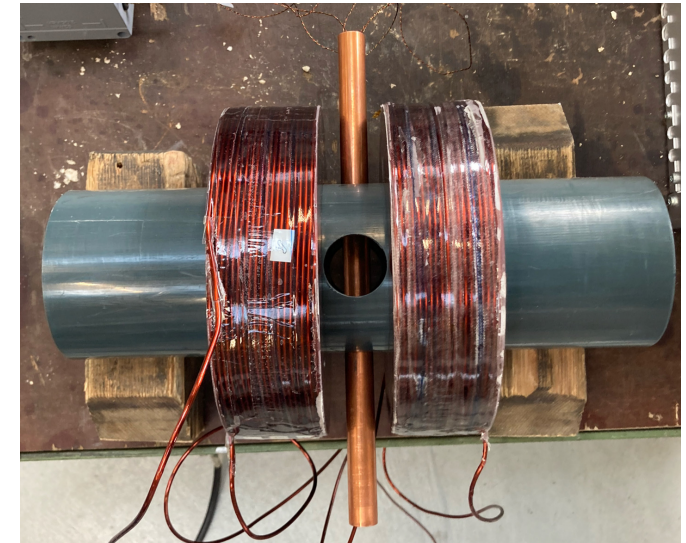
Scintillating fiber detector for EDM asymmetry measurement and timing.

- ✓ Horizontal fiber ribbons with  $250\mu\text{m}$  pitch and  $100\mu\text{m}$  resolution
- ✓ Timing resolution  $< 2\text{ns}$
- ✓ Reconstruction of longitudinal momentum



# Magnetic field simulation of the Helmholtz coil pair

Designed and constructed a Helmholtz coil; 100 mT at the center of the coil when inducing a current of  $I=20$  Amps while the coils are connected in series.

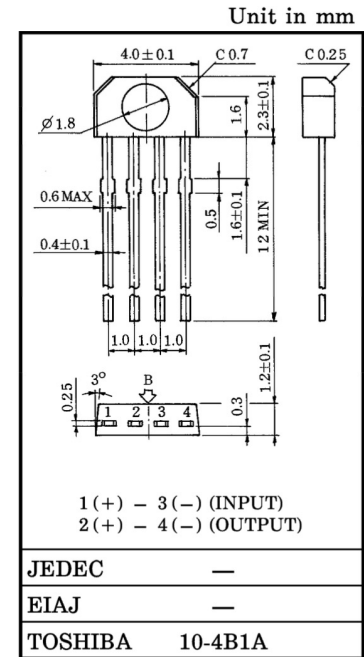
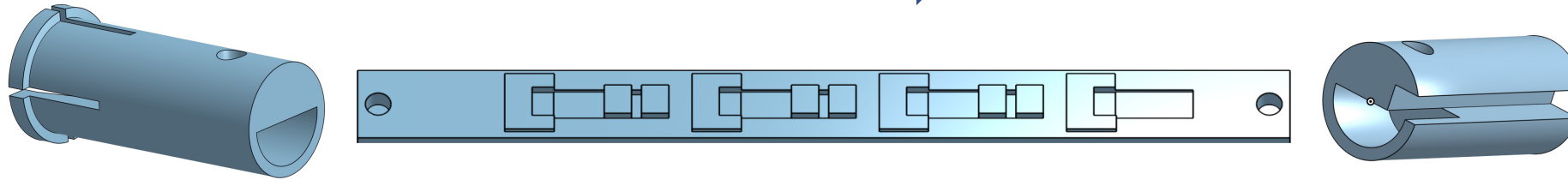




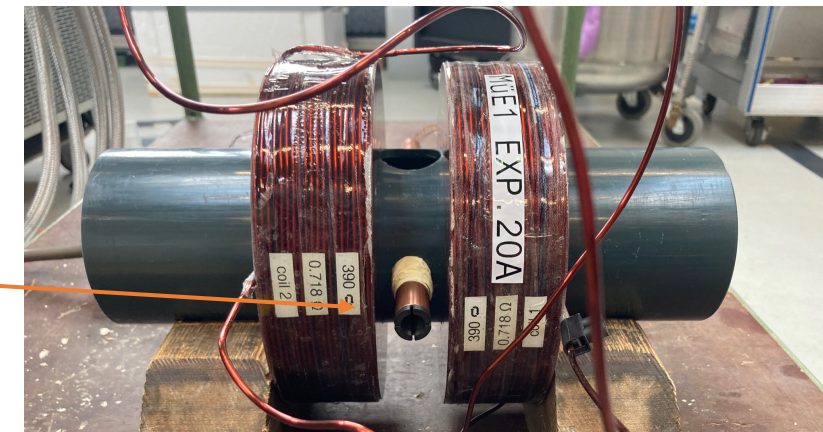
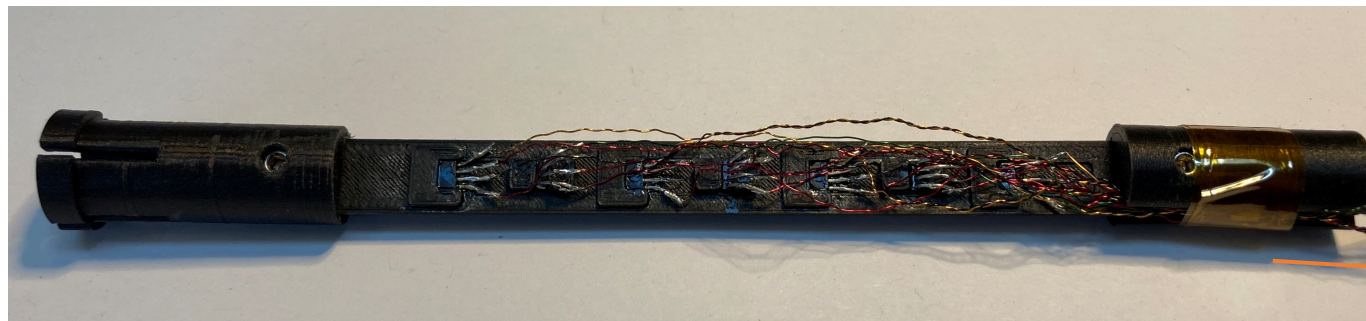
# Hall sensor support system

In order measure the magnetic field inside the SC-shielded tube; 3D designed and printed a Hall Sensor Support system that fulfilled the following requirements:

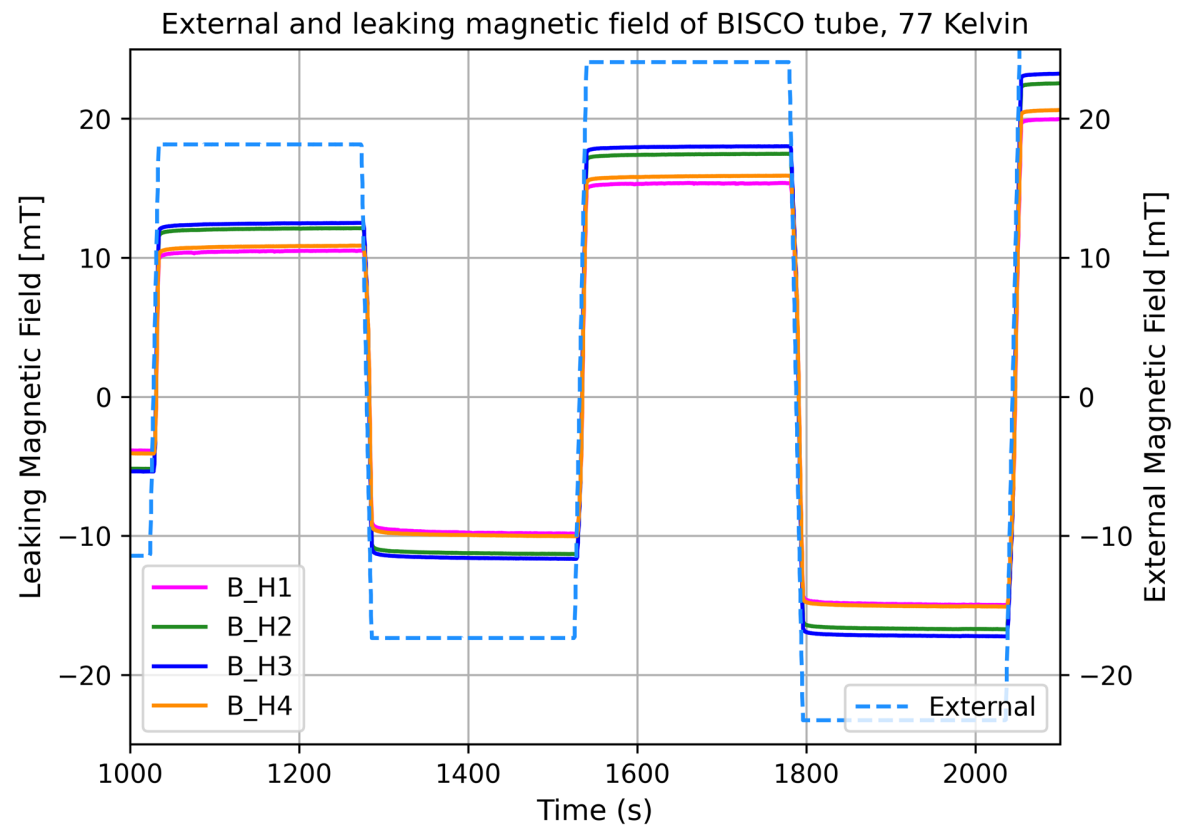
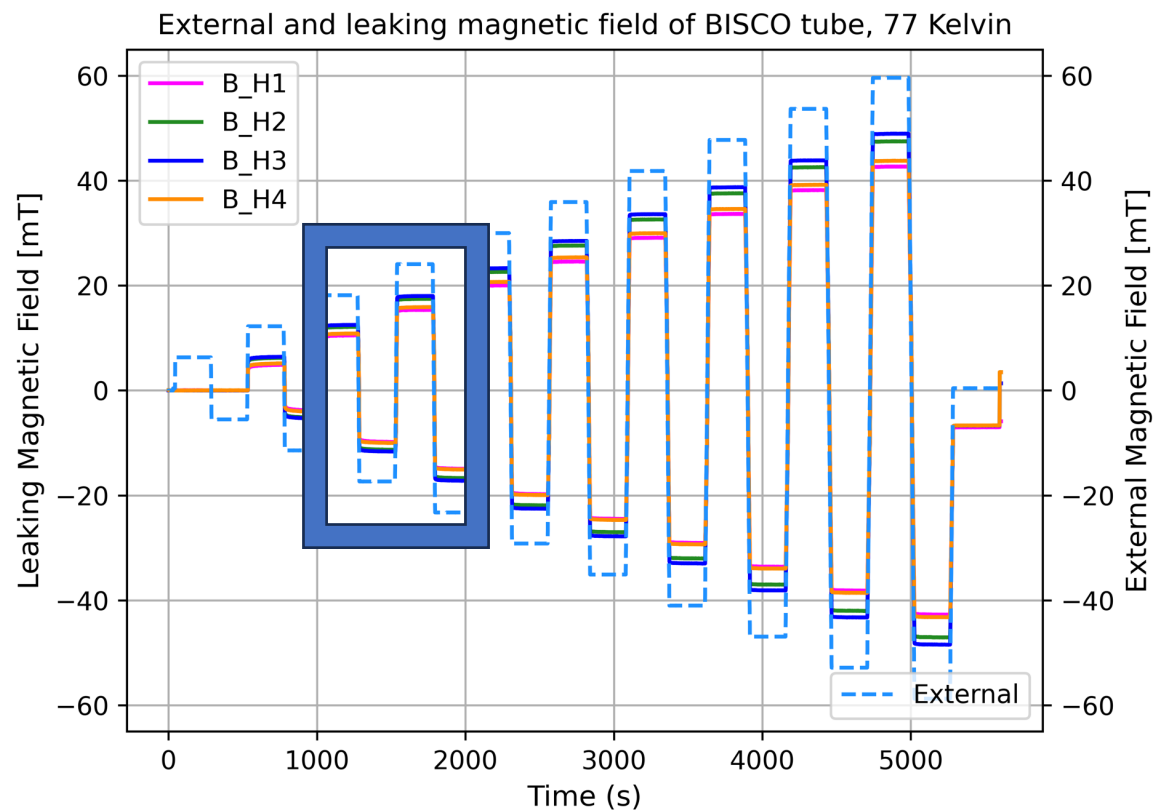
- ✓ Cryogenic-proof material, Onyx.
- ✓ The support remaining fixed inside the SC-tube → 7 sensor slots (4 horizontal, 3 vertical).



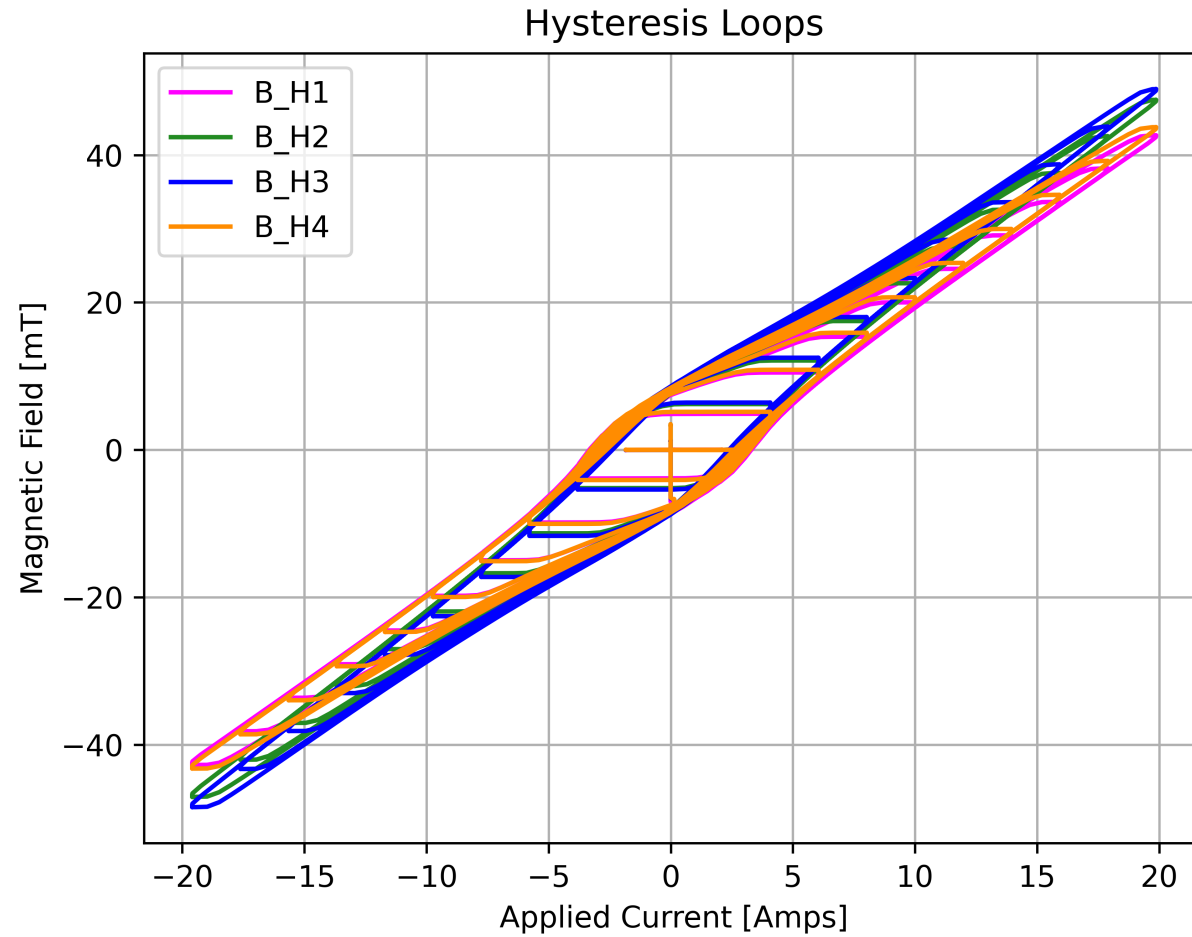
- Glued and soldered seven Toshiba THS119 Hall sensors on the support system.



# Signs of superconductivity, BISCO tube



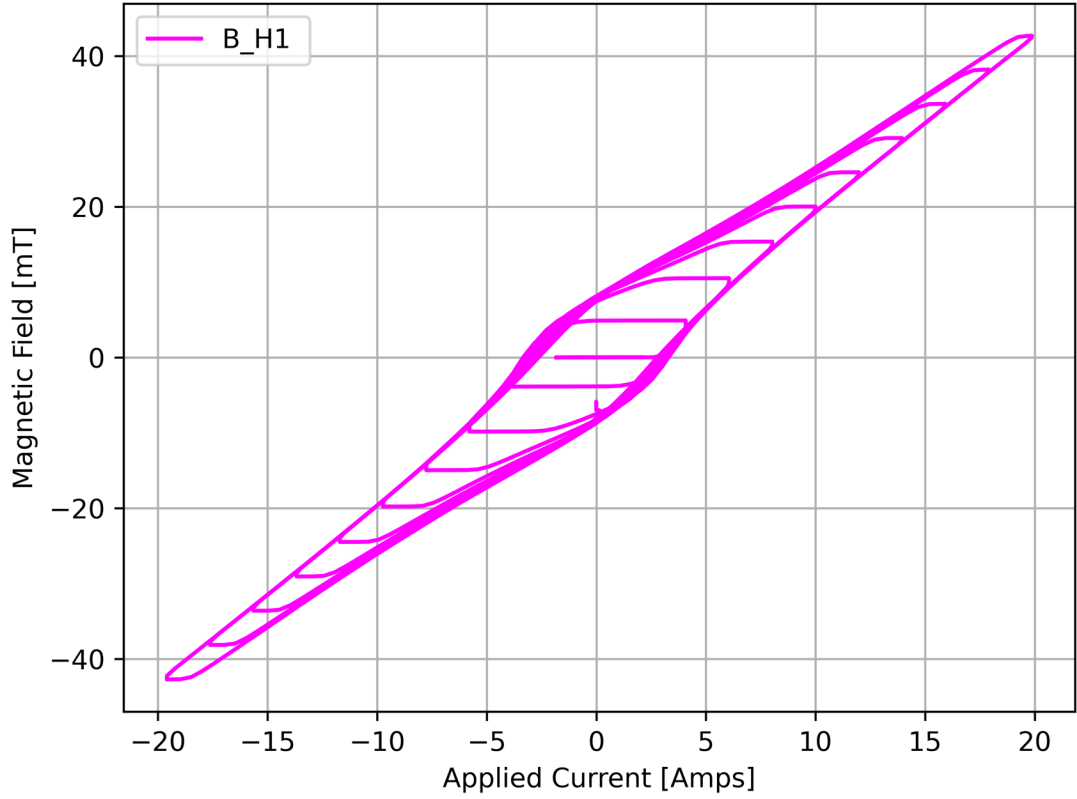
# Signs of superconductivity, Hysteresis Loops, BISCO tube



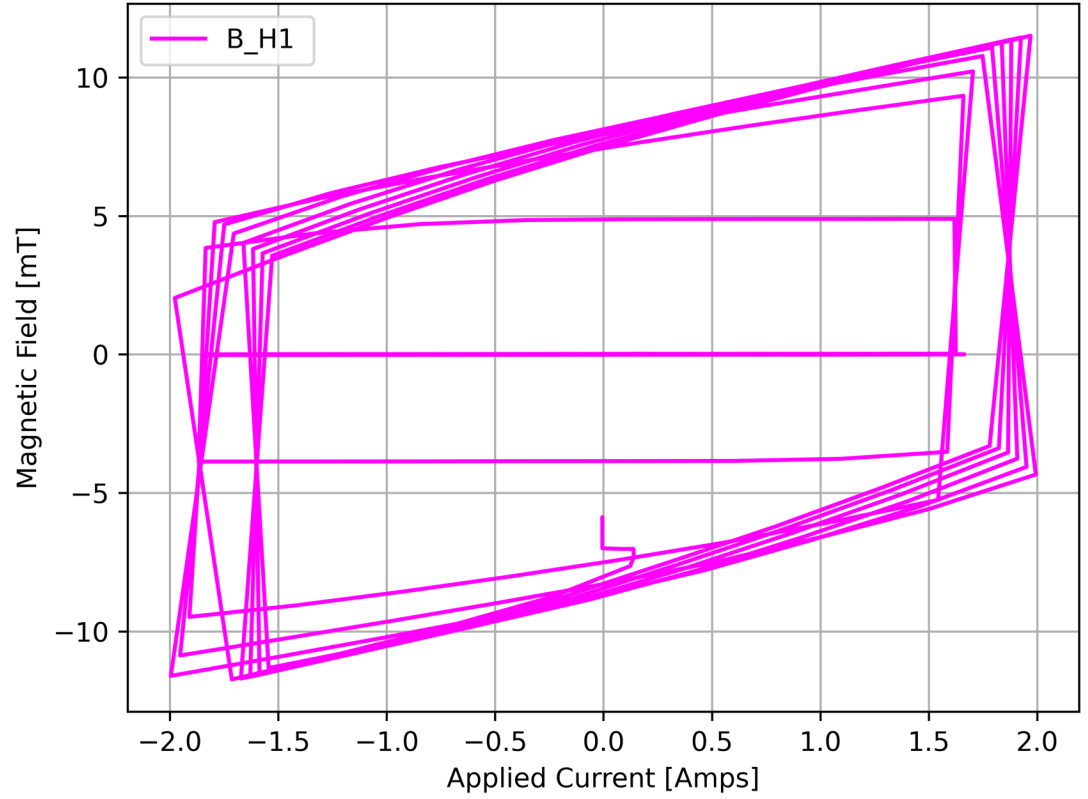


# Hysteresis Loops, H1 sensor, BISCO tube

Hysteresis Loops

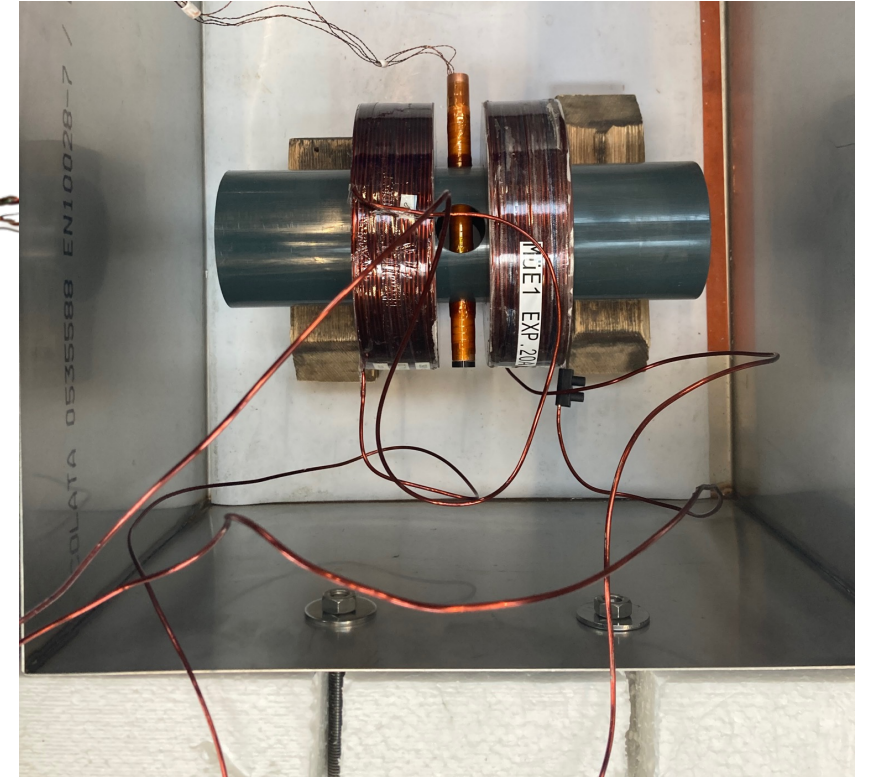
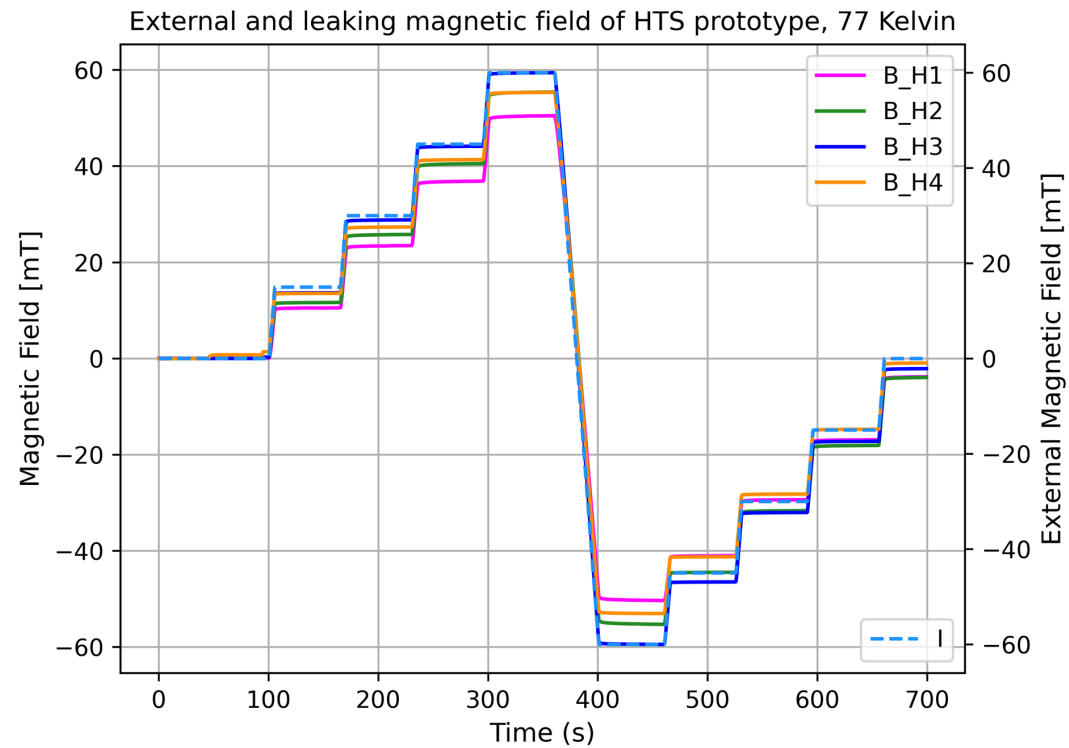
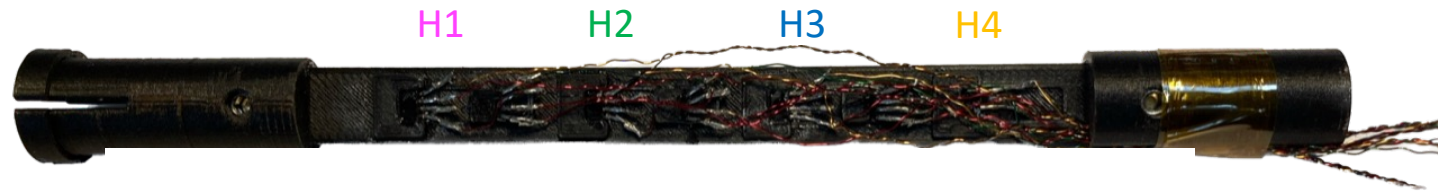


Hyterisis Loops, -2 to 2 Amps, Hall Sensor 1

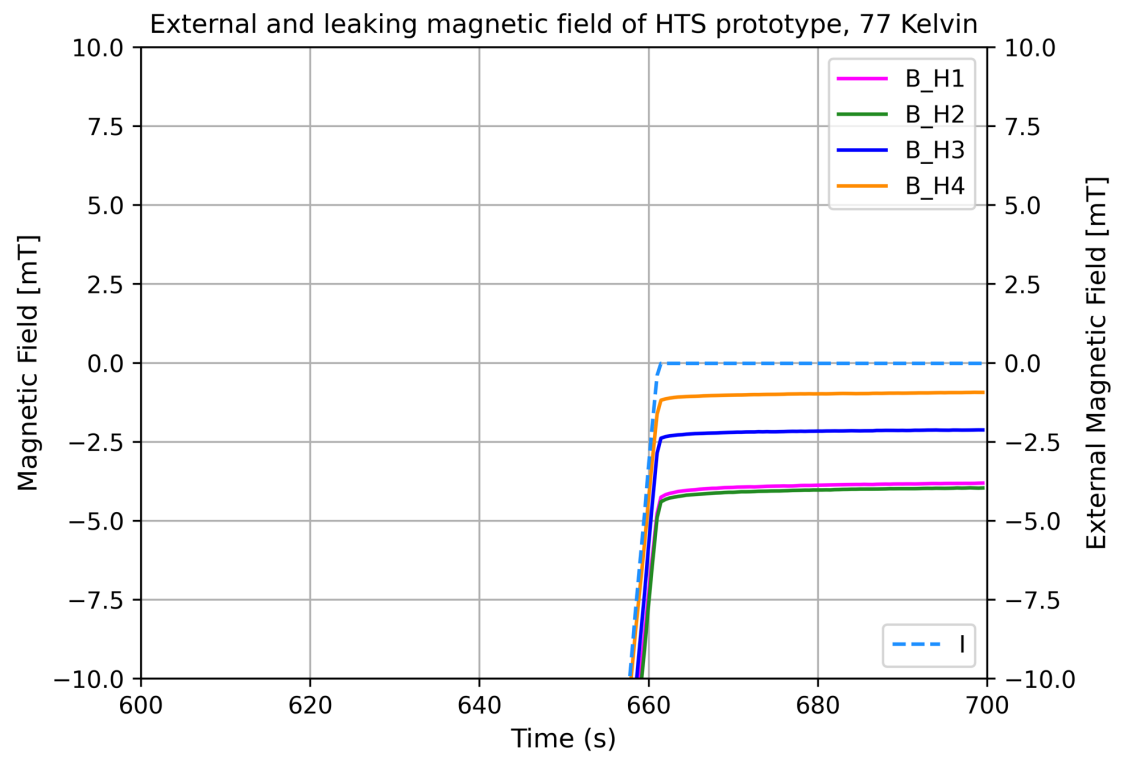
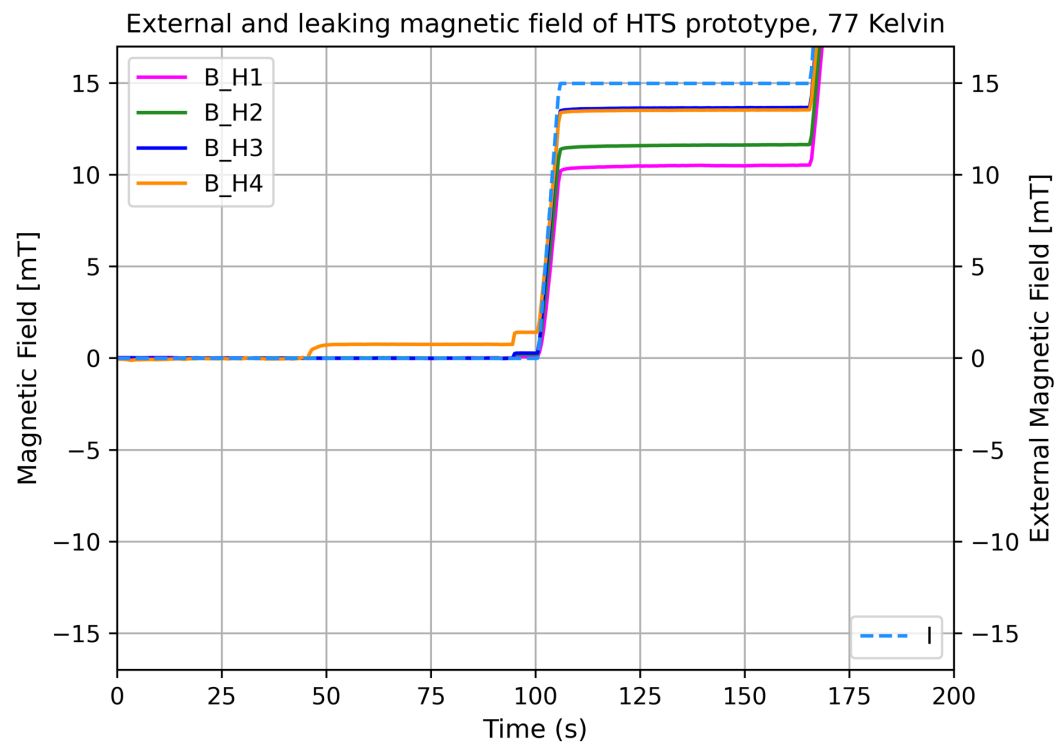


# Testing SC-shielded prototypes, HTS prototype

Testing the superconductive properties of an HTS prototype, with a Helmholtz coil pair of 100 mT, in a 77K cryogenic bath.



# Testing SC-shielded prototypes, signs of superconductivity, HTS prototype



# Signs of superconductivity, Hysteresis Loops, HTS prototype

