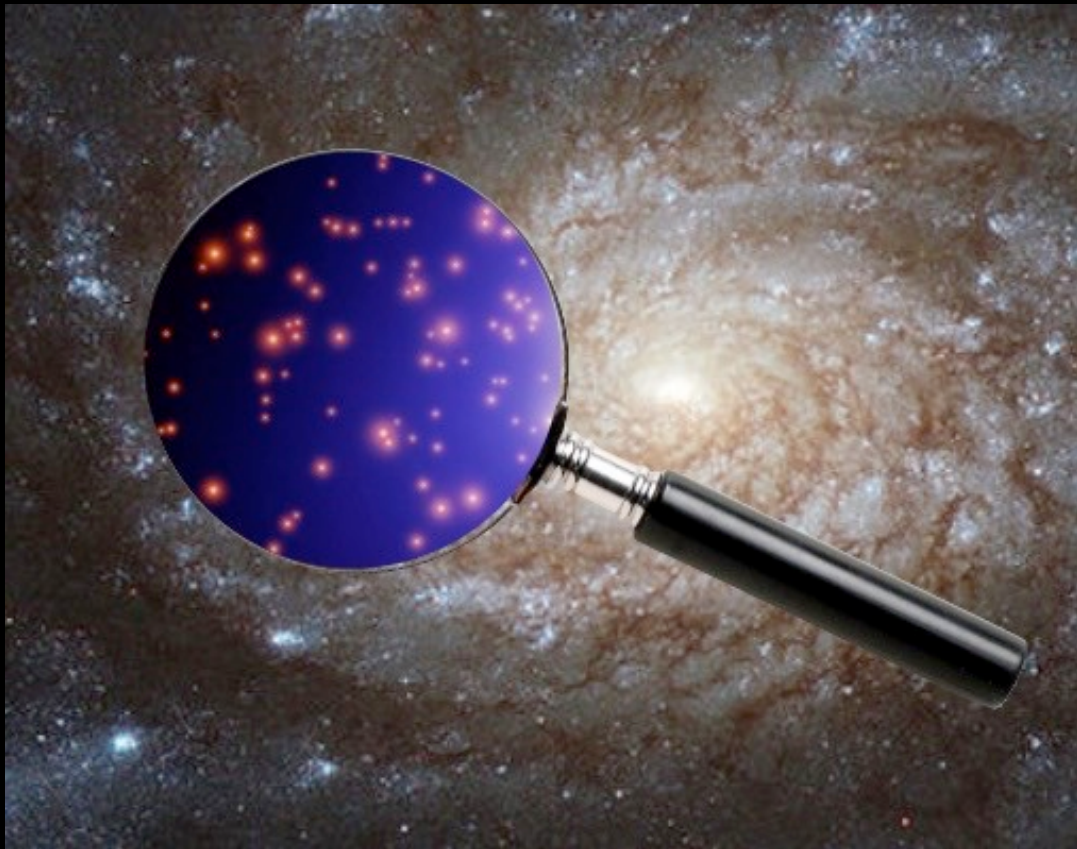


# *Probing the Early Universe with Dark Matter Annihilation*



*Adrienne Erickcek  
UNC Chapel Hill*

*Collider, Dark Matter, and Neutrino Physics 2023  
Mitchell Institute  
May 16, 2023*

# Dark Matter is made in THE GAP

*The First Three Seconds Review:  
2006.16182*



$$T_{RH} \gtrsim 8 \text{ MeV}$$

*Ichikawa, Kawasaki, Takahashi 2005; 2007  
de Bernardis, Pagano, Melchiorri 2008  
P. De Salas et al. 2015;  
Hasegawa et al. 2019*

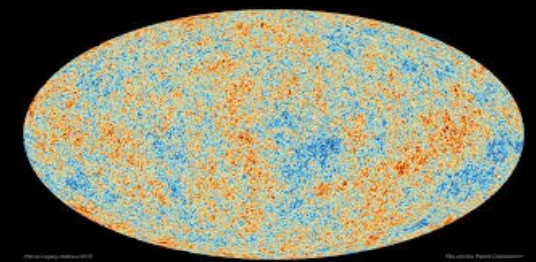
Mustafa Amin's modified version of PDG



# What happened before BBN?

We have good reasons to think that the Universe was not radiation dominated at all times before neutrino decoupling.

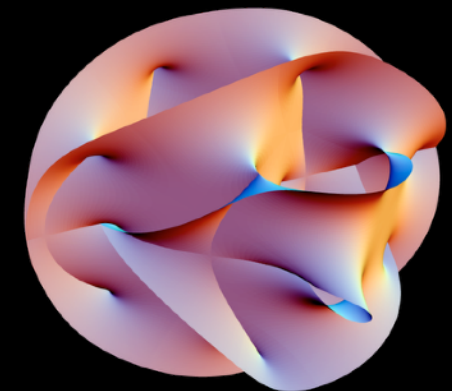
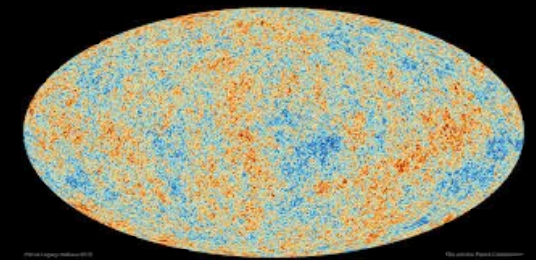
- Primordial density fluctuations point to **inflation**. After inflation, the inflaton may have entered a fast-roll phase ( $P \simeq \rho$  ; **kination**) or it may have oscillated ( $P \simeq 0$  ; **matter domination**).



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- Primordial density fluctuations point to **inflation**. After inflation, the inflaton may have entered a fast-roll phase ( $P \simeq \rho$ ; **kination**) or it may have oscillated ( $P \simeq 0$ ; **matter domination**).
- Other scalar fields or particles may have come to dominate the Universe after inflation.
- The **string moduli problem**: oscillating scalar fields come to dominate the Universe before BBN.



*Carlos, Casas, Quevedo, Roulet 1993*  
*Banks, Kaplan, Nelson 1994*

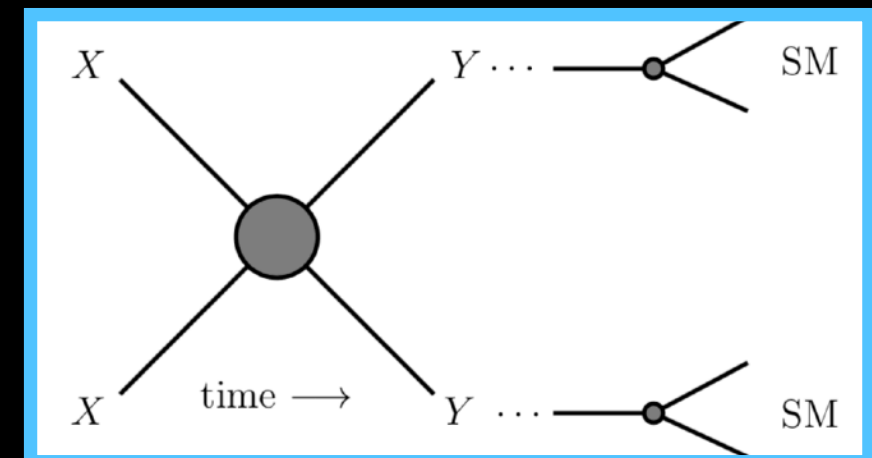
*Acharya, Kumar, Bobkov, Kane, Shao, Watson 2008*  
*Summary: Kane, Sinha, Watson 1502.07746*

- String moduli can also generate periods of kination.

*Conlon, Revello 2022*  
*Apers, Conlon, Mosny, Revello 2023*

- Hidden sector dark matter: massive mediators dominate the Universe.

*Zhang 2015*  
*Berlin, Hooper, Krnjaic 2016*  
*ALE, Ralegankar, Shelton 2021*  
*Dror, Kuflik, Ng 2016*  
*Dror, Kuflik, Melcher, Watson 2018*





# Cosmic Timeline

## Neutrino Decoupling/BBN

$$0.07 \text{ MeV} \lesssim T \lesssim 3 \text{ MeV}$$

$$0.08 \text{ sec} \lesssim t \lesssim 4 \text{ min}$$

## CMB

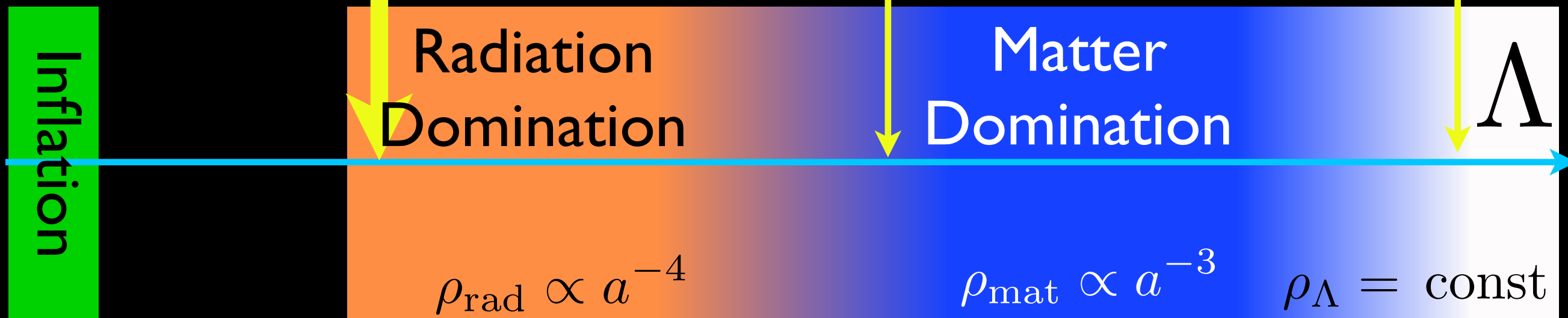
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## Now

$$T = 2.3 \times 10^{-4} \text{ eV}$$

$$t = 13.8 \text{ Gyr}$$



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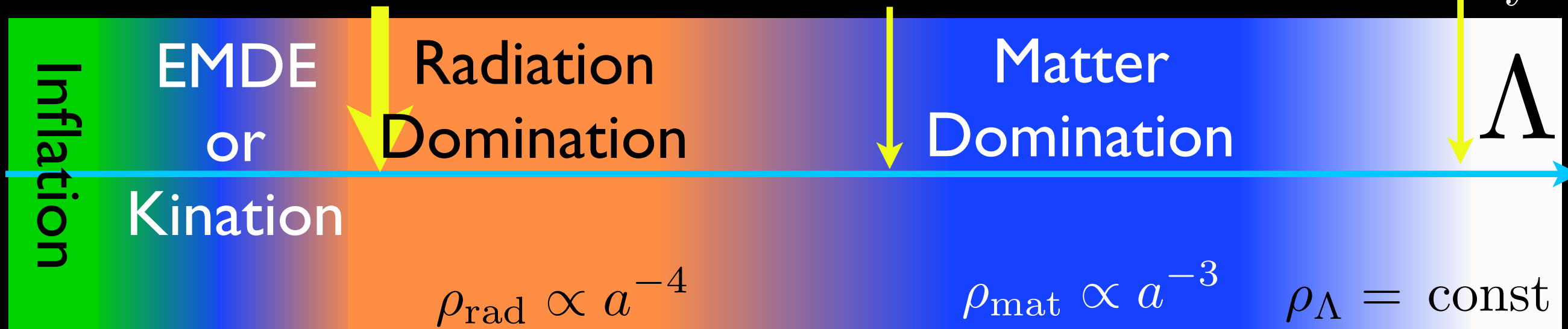
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- An **early matter-dominated era (EMDE)**:
  - Dominant component:  $\rho \propto a^{-3}$
  - Ends when dominant component decays into relativistic particles.
- A period of **kination**:
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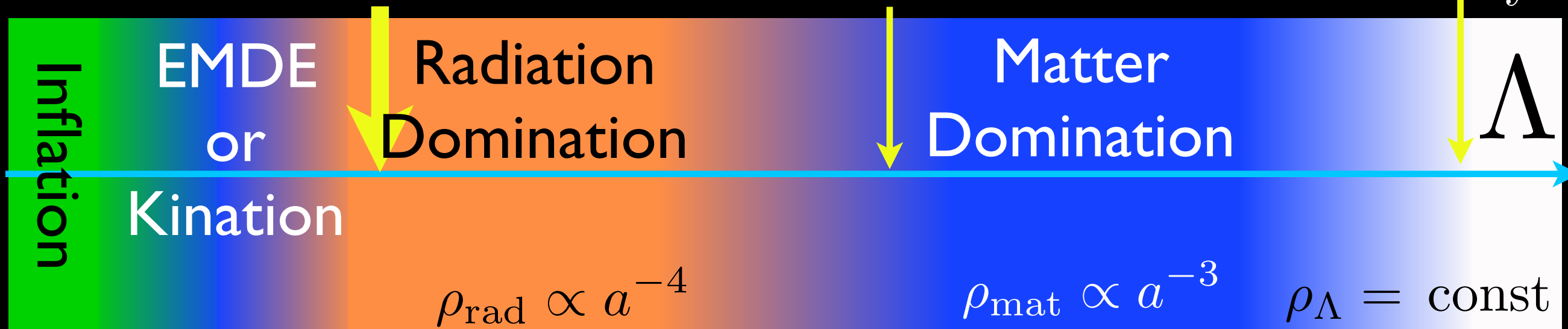
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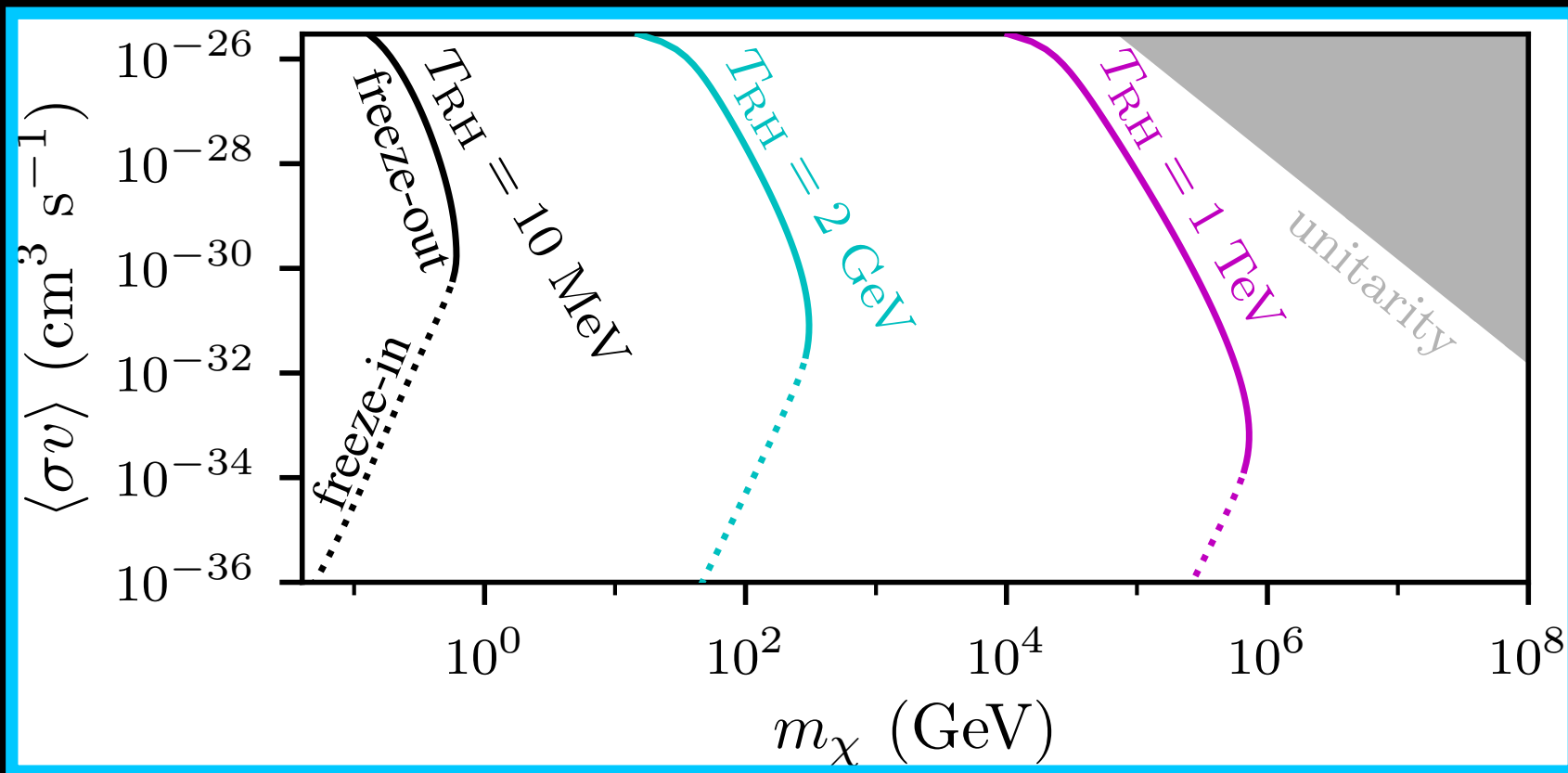
**EMDE/Kination Implications:**

1. Dark matter production
2. Early structure growth
3. Enhanced dark matter annihilation rates

*Constraints on DM production  
before or during an  
Early Matter-Dominated Era  
(EMDE)*



# Thermal DM Production with an EMDE



Giudice, Kolb, Riotto 2001

ALE 2015

M. Sten Delos, Tim Linden, ALE 2019

The creation of new SM particles during the EMDE dilutes the DM abundance after freeze-out, so **smaller annihilation cross sections are needed to match DM density.**

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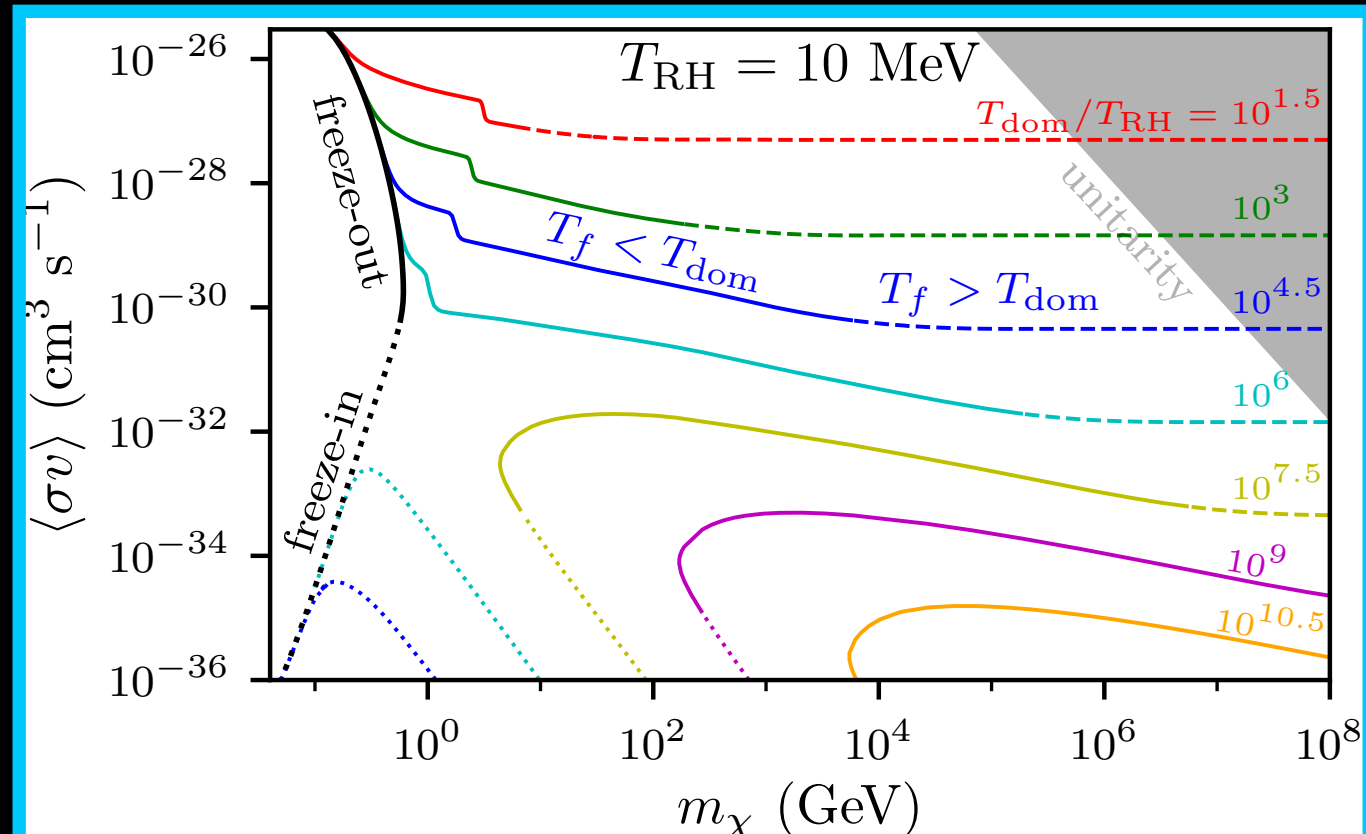
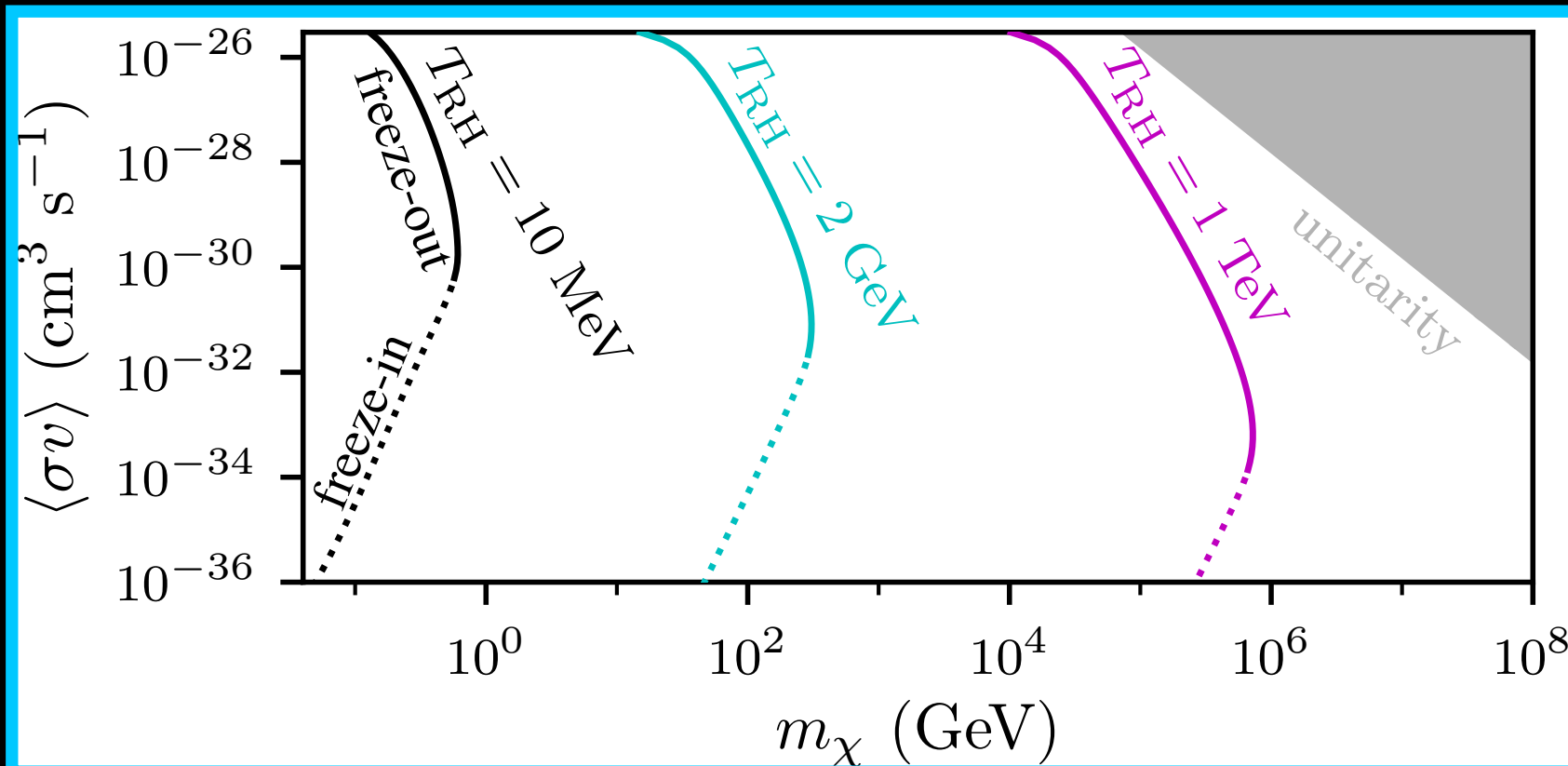
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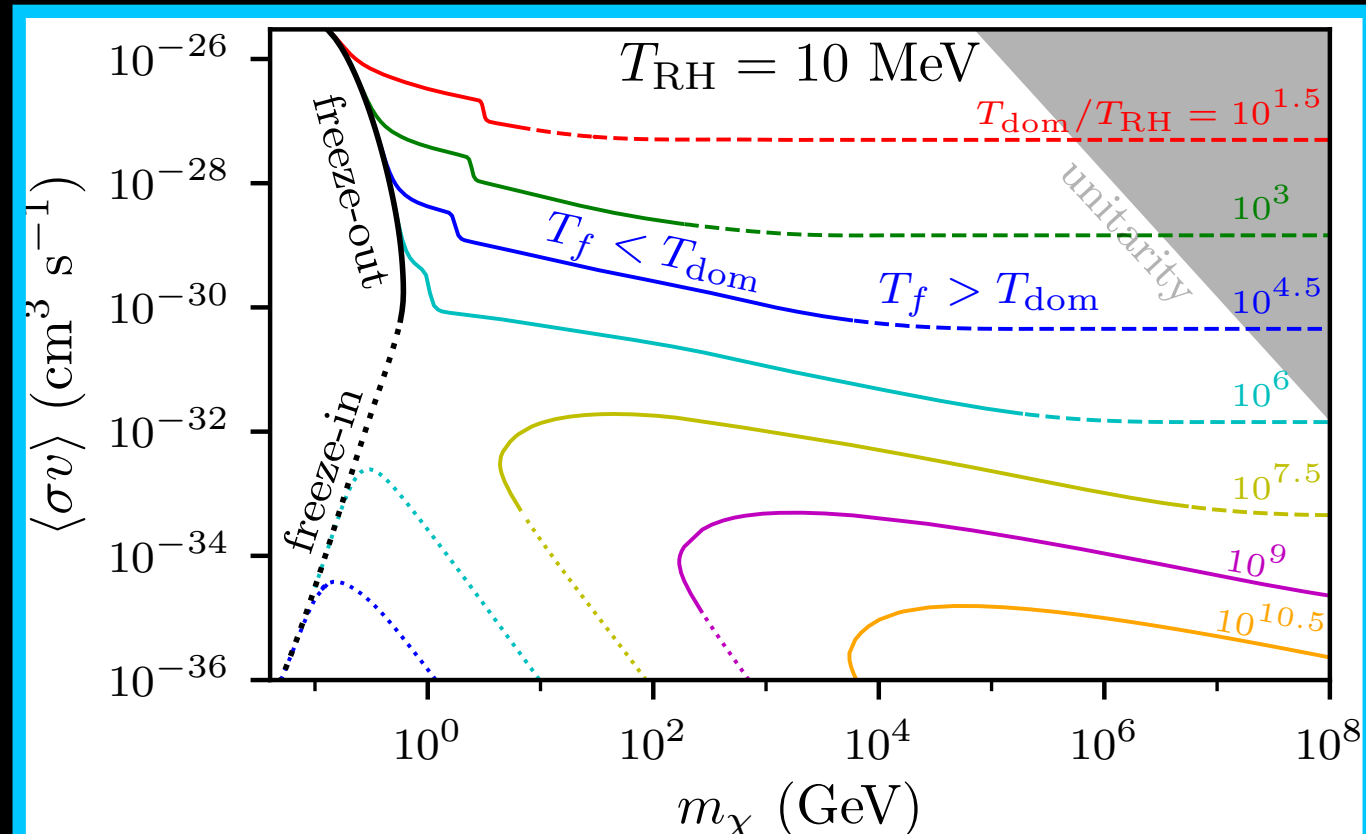
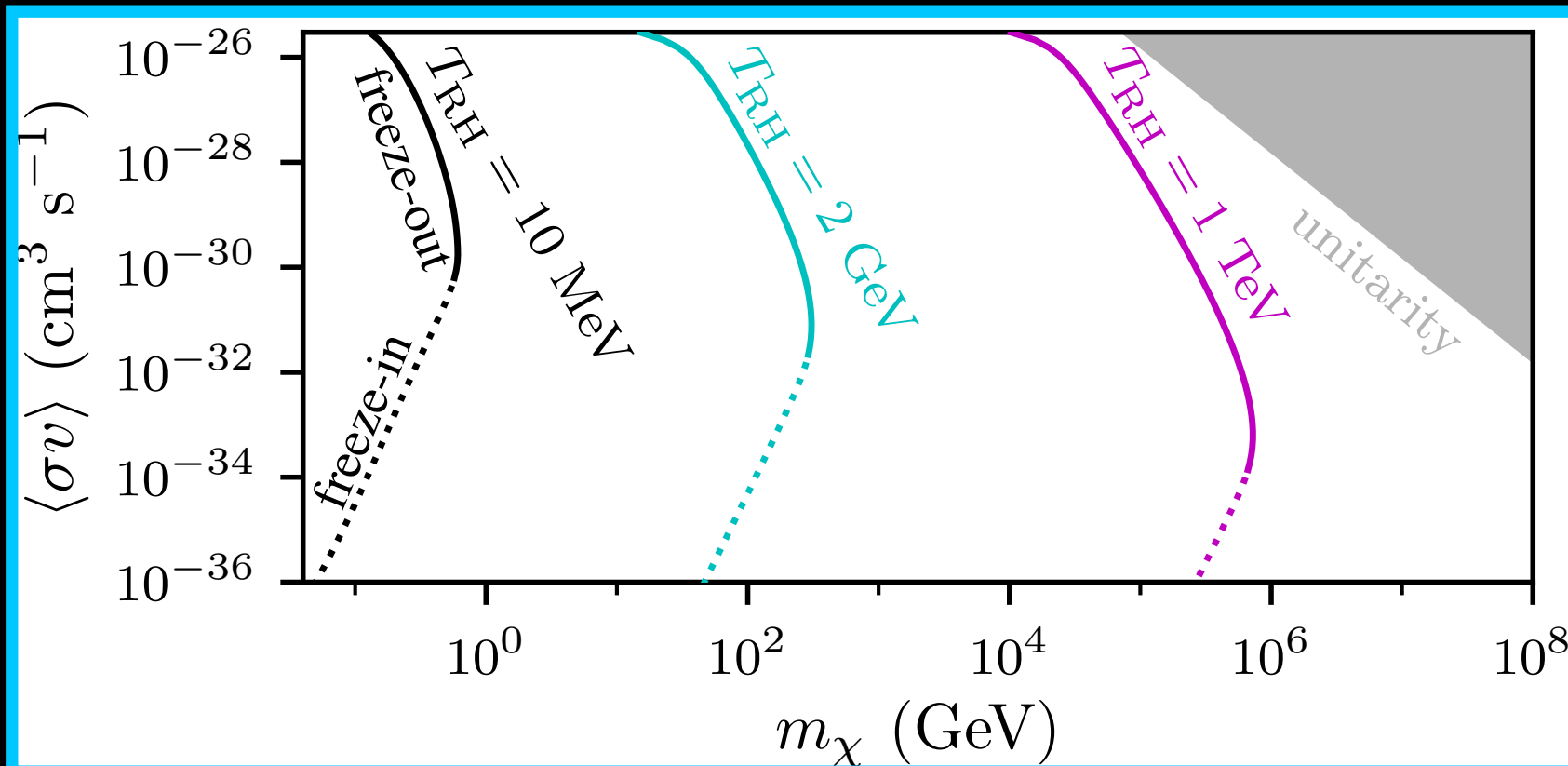
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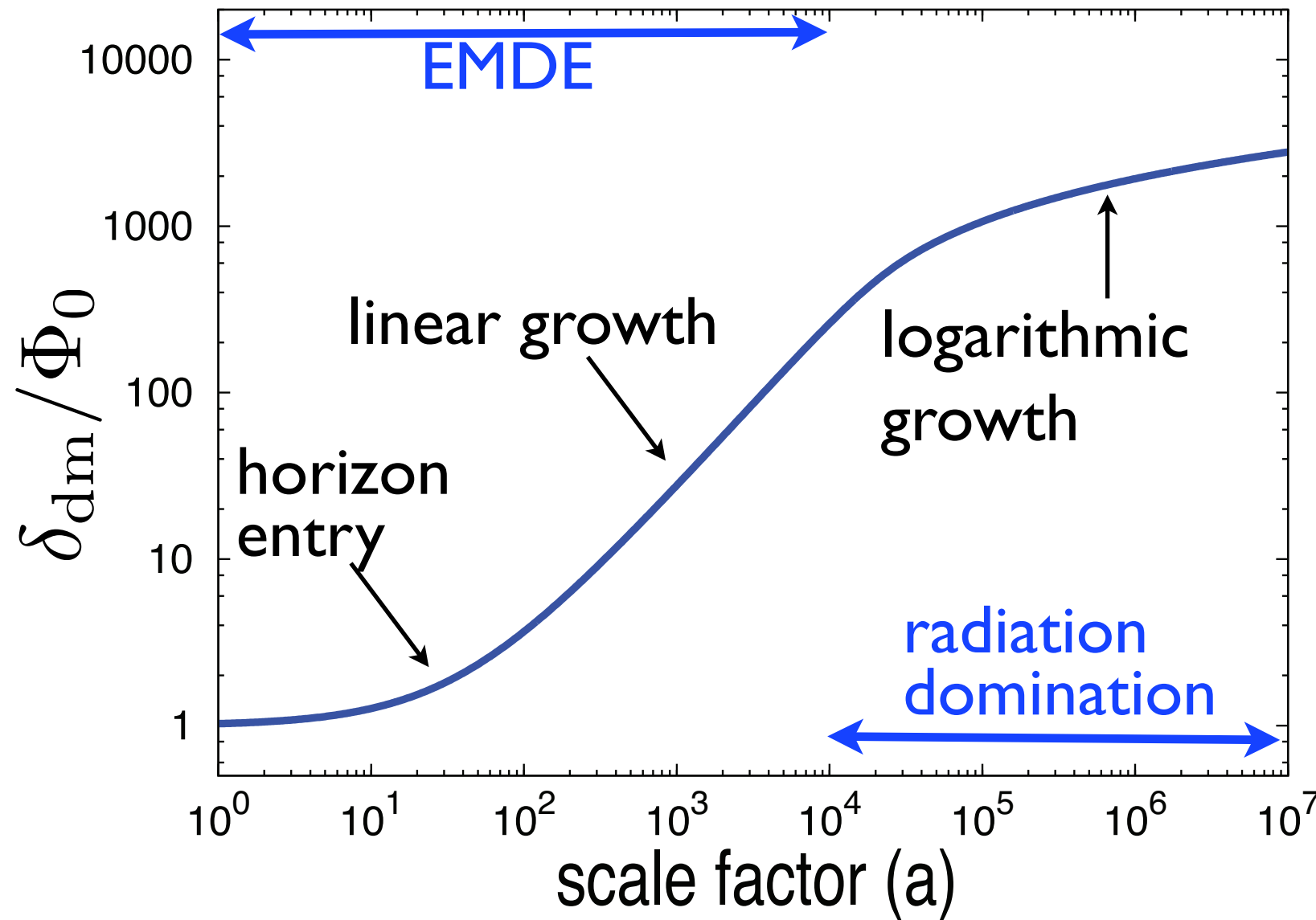
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*A nightmare scenario?*



# Structure Growth during an EMDE

## Evolution of the Matter Density Perturbation



- Enhanced perturbation growth affects subhorizon scales:

$$R \lesssim k_{\text{RH}}^{-1}$$

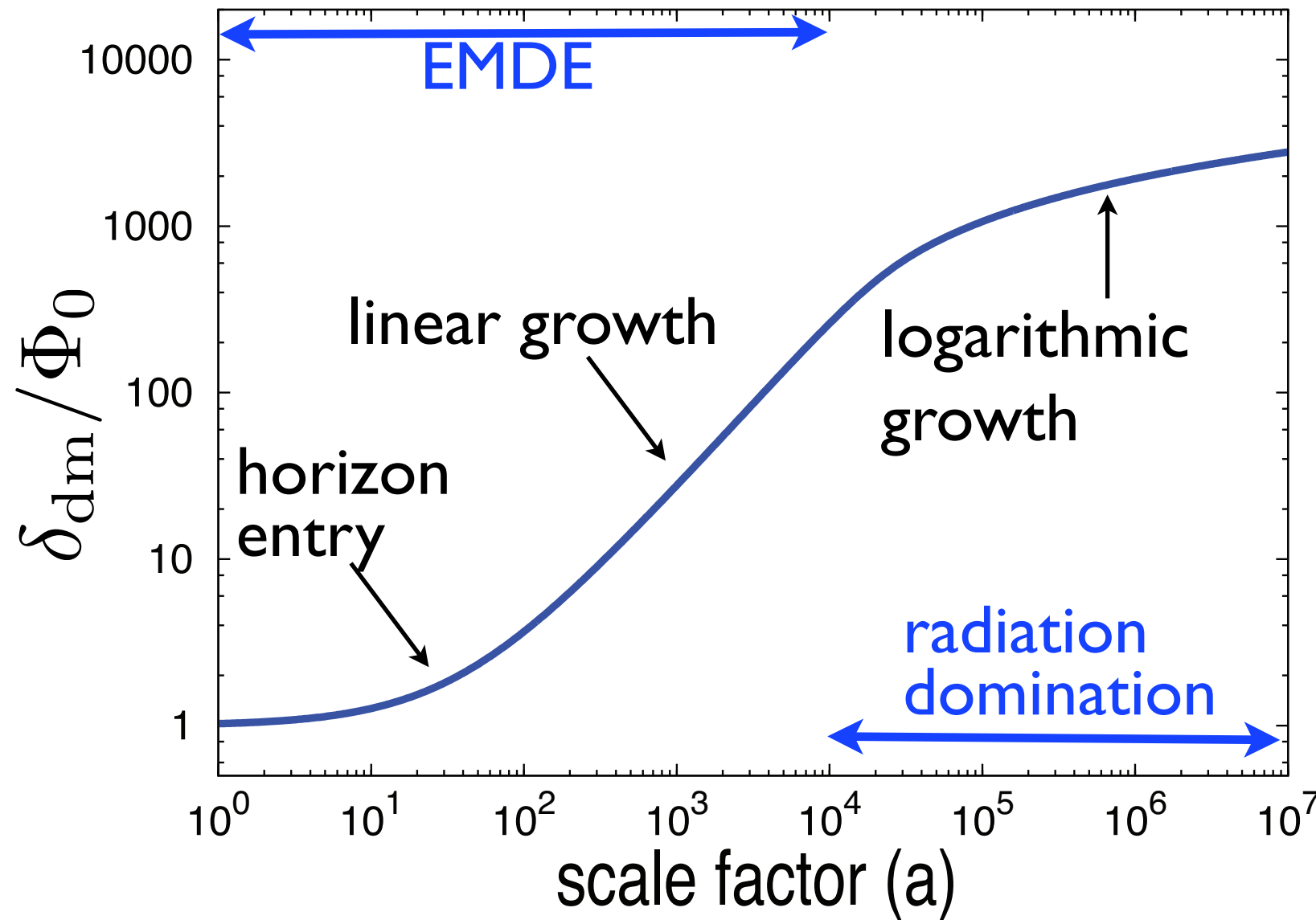
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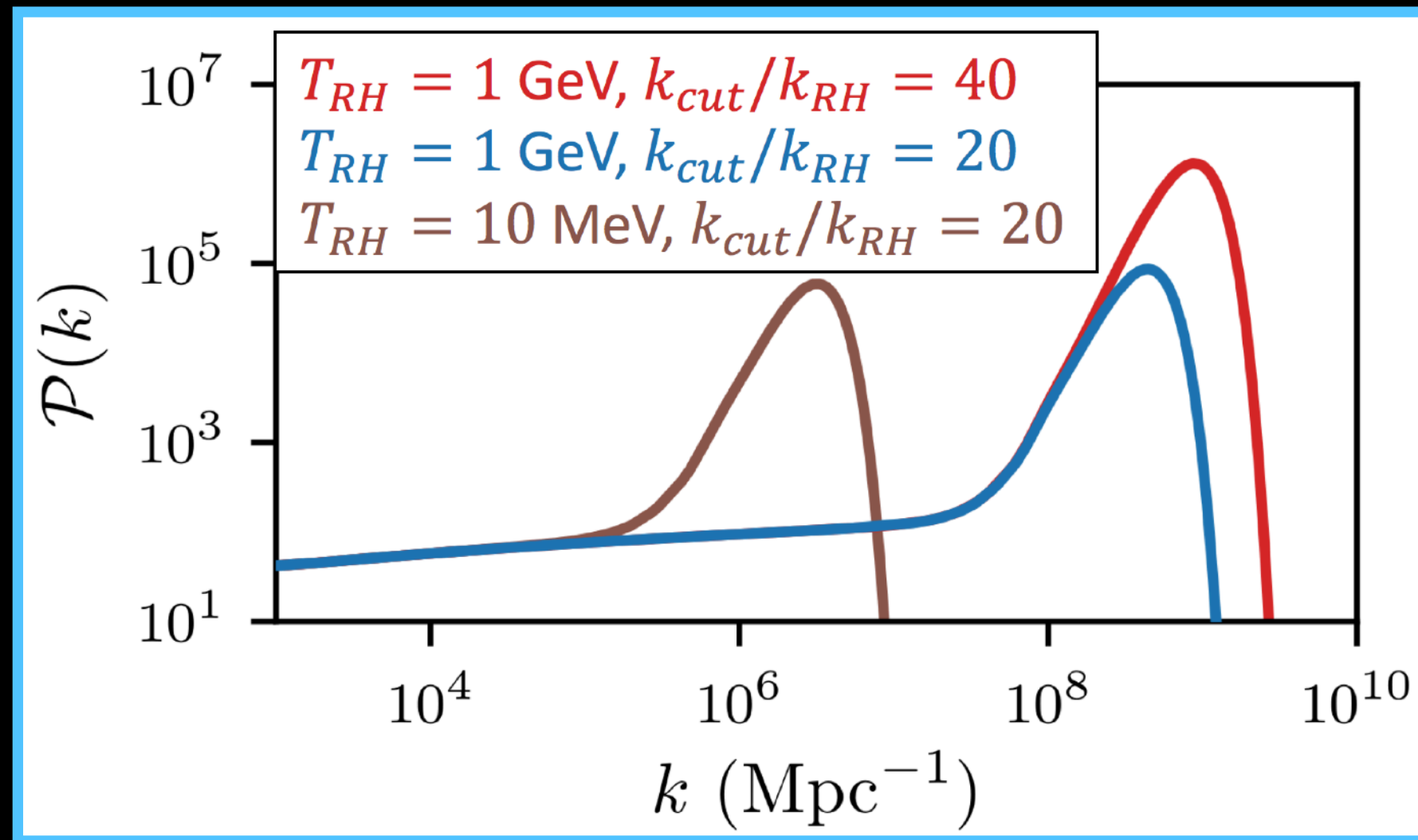
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$$M_{\text{RH}} \simeq 10^{-5} M_{\oplus} \left( \frac{1 \text{ GeV}}{T_{\text{RH}}} \right)^3$$

**Microhalos!**

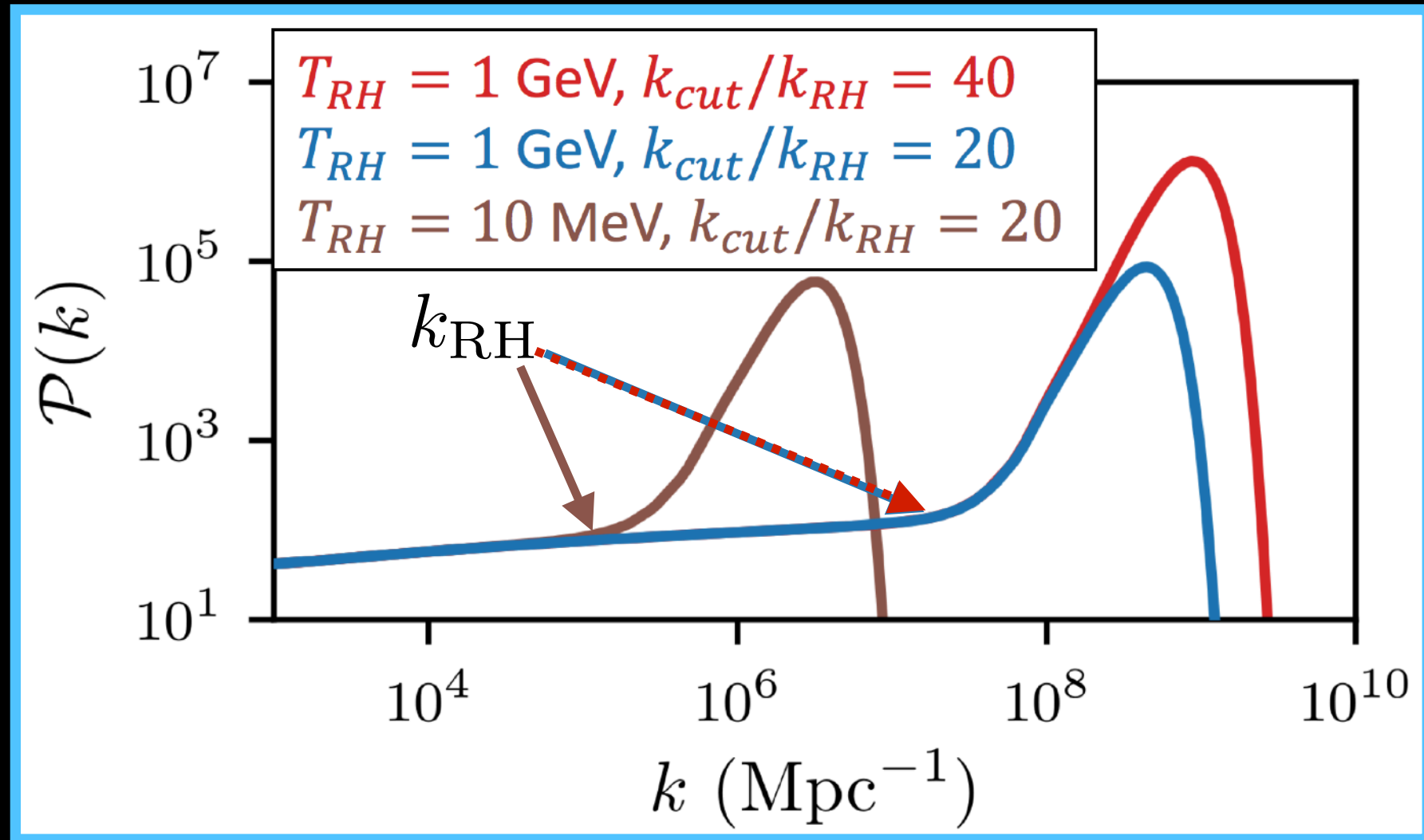
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The small-scale cut-off in the matter power spectrum determines the mass and formation time of the first halos.



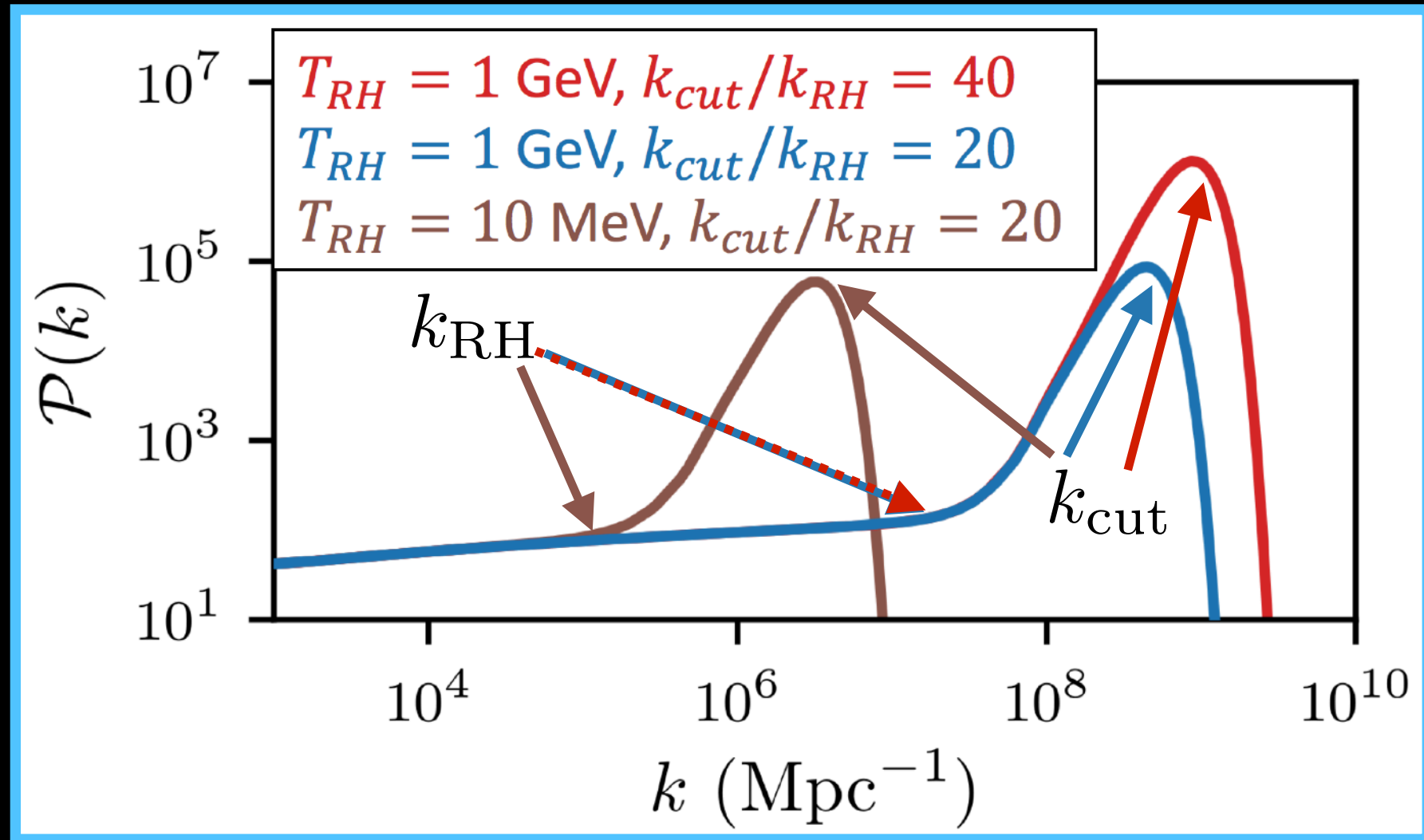
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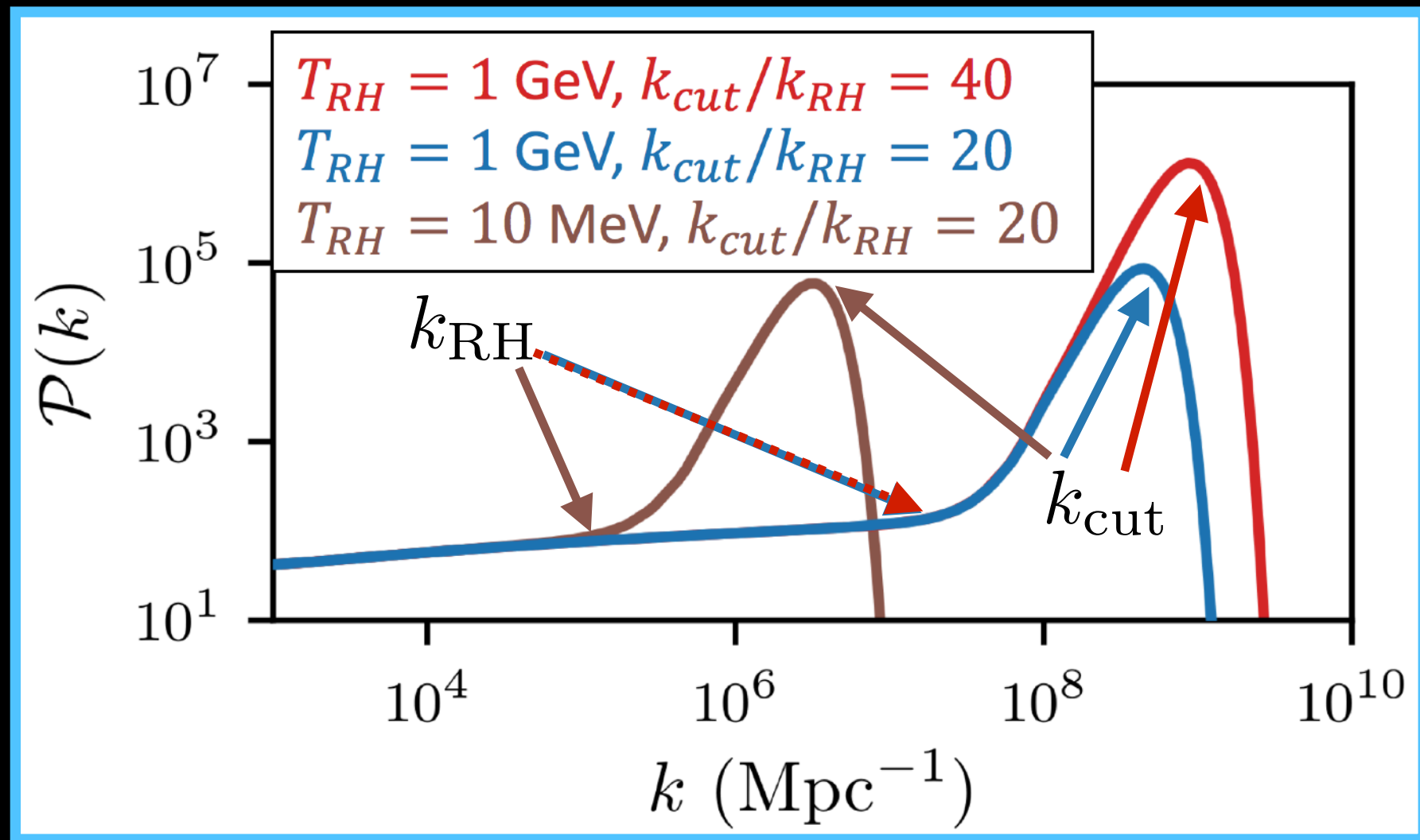
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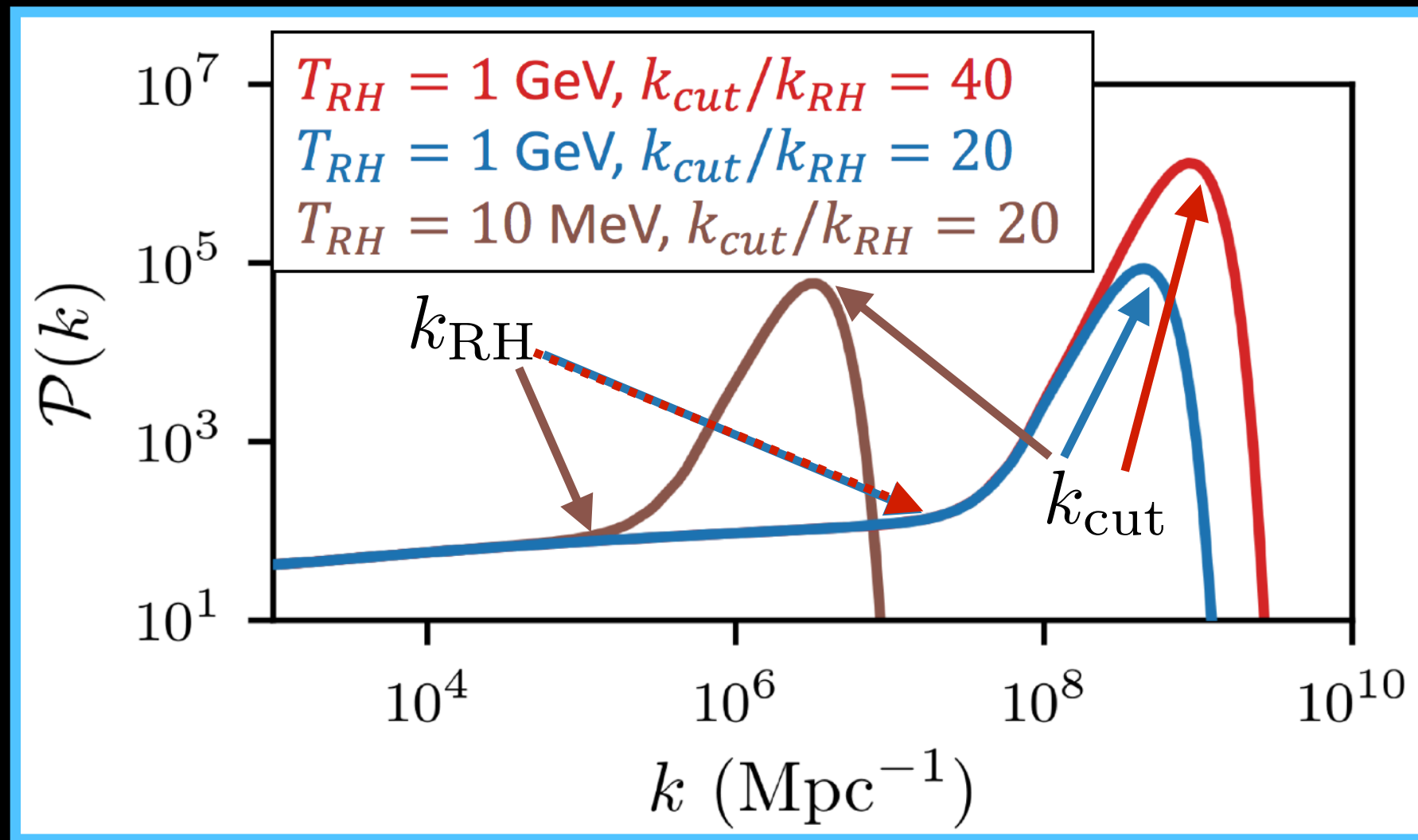




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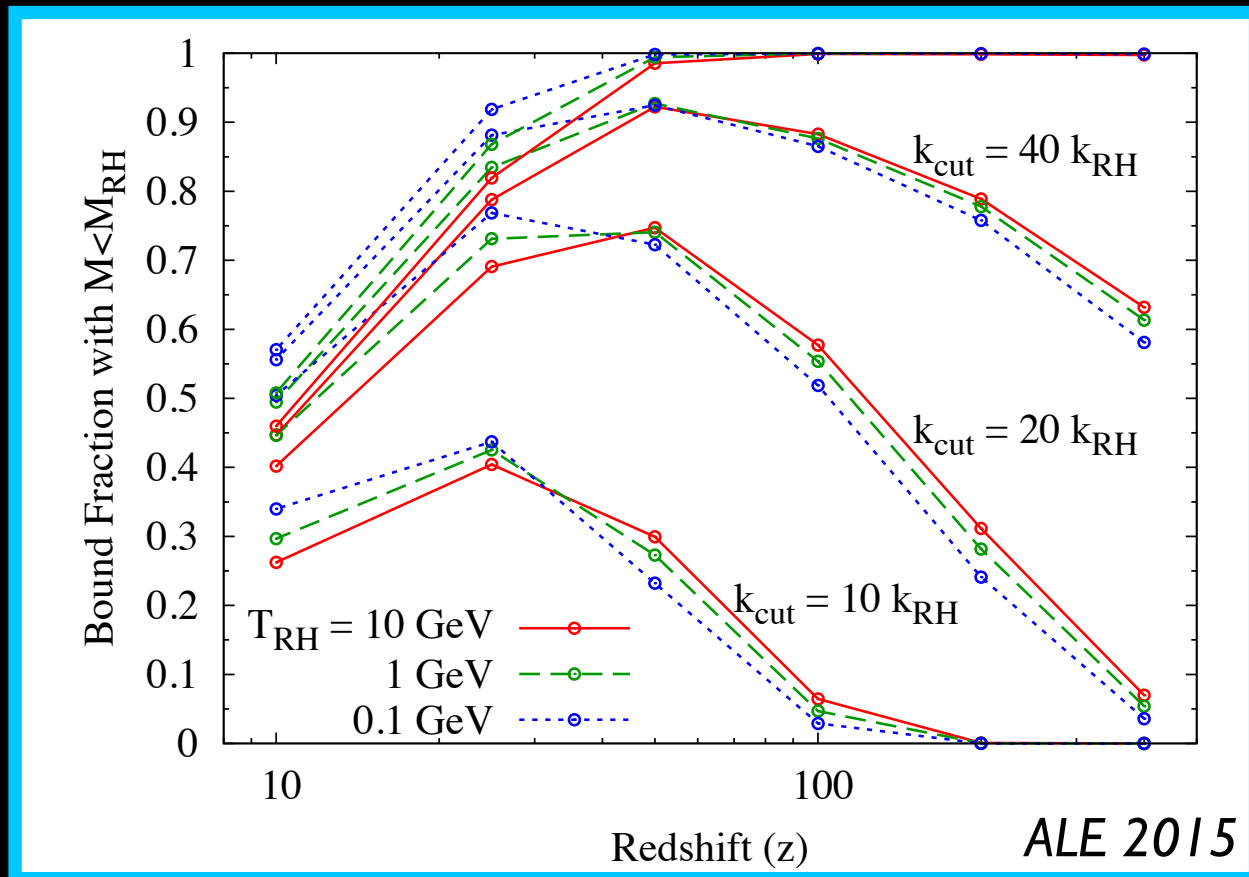
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- Dark matter in a hidden sector is generally much colder, so the cut-off is set by other mechanisms.

# The Microhalo Abundance

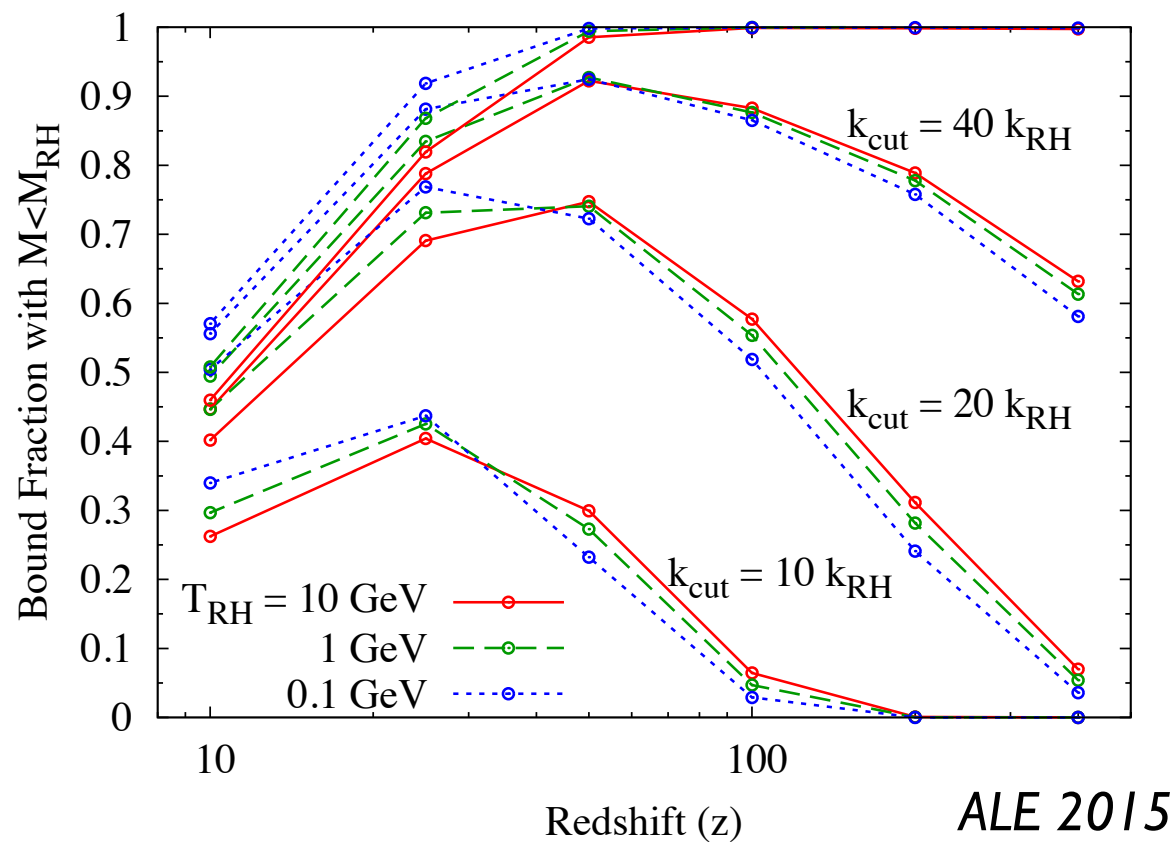
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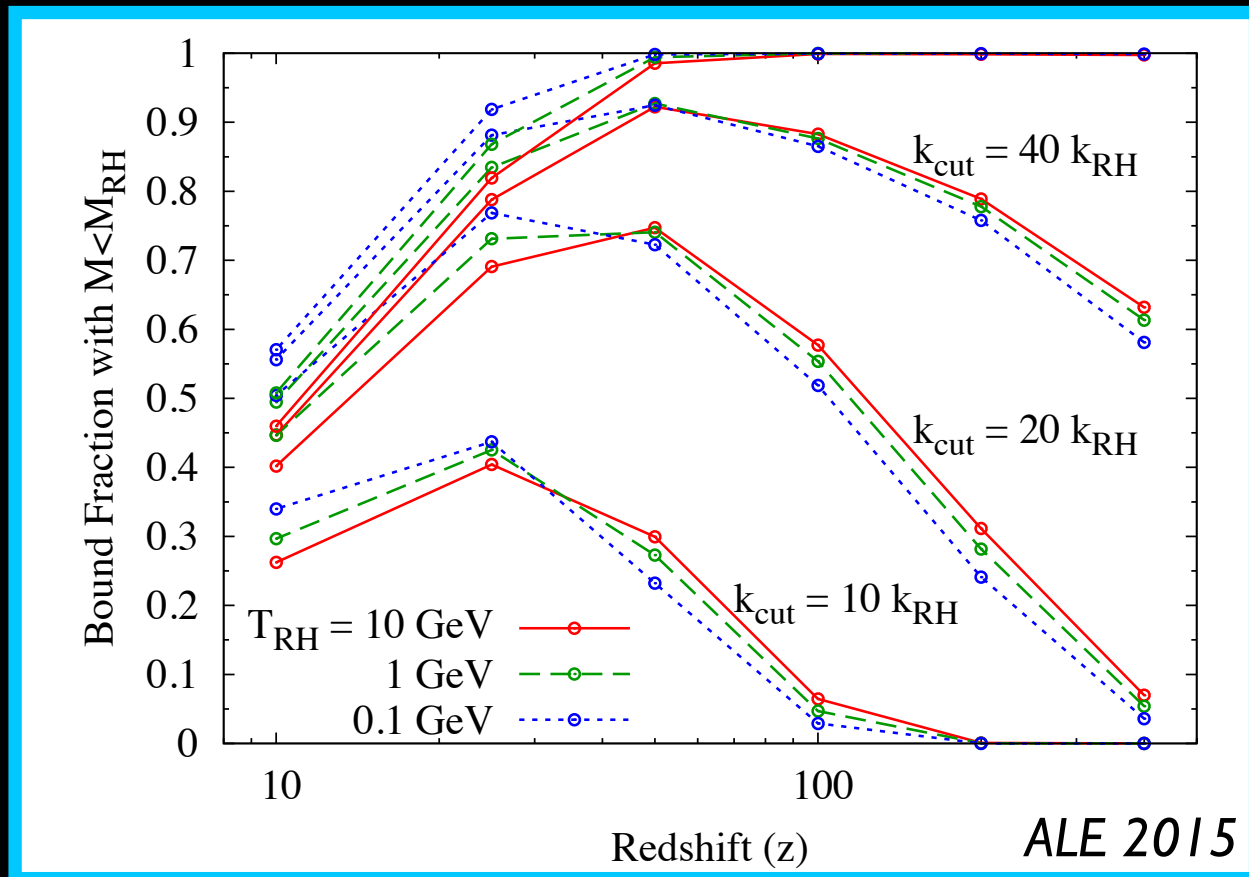
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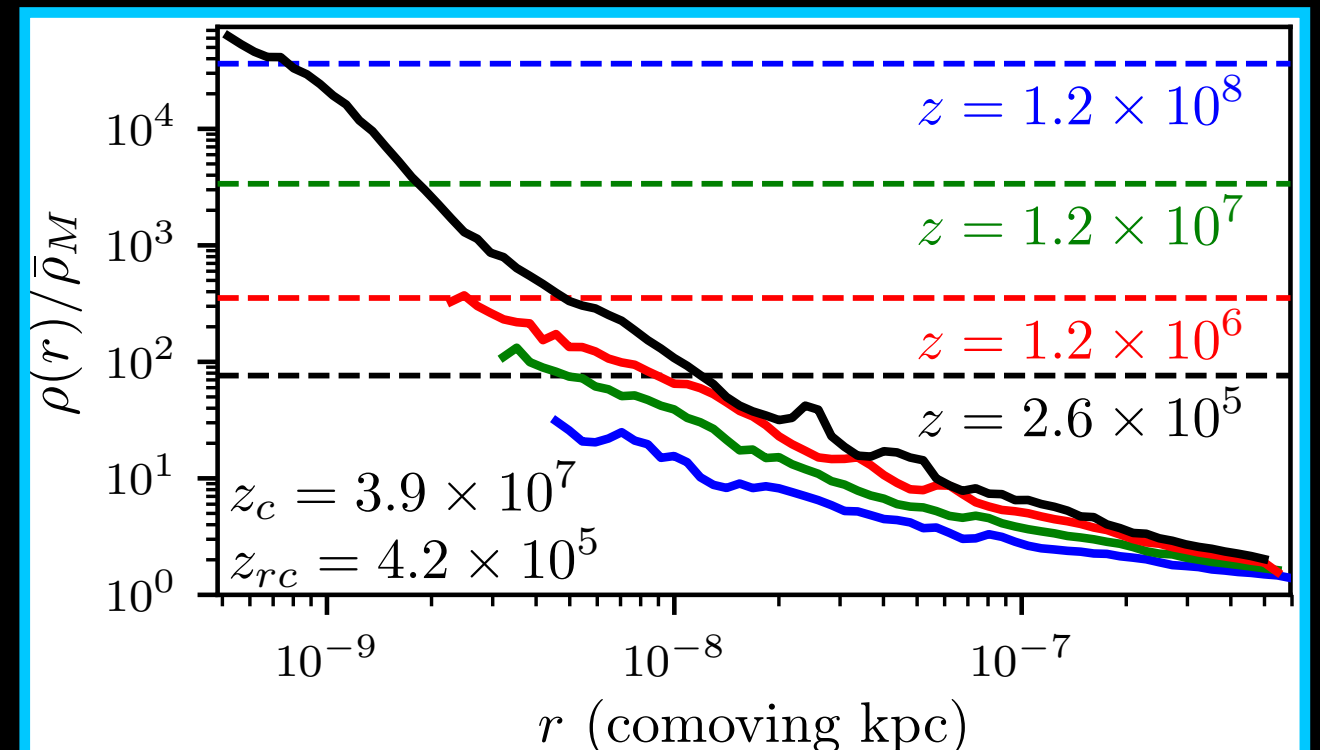


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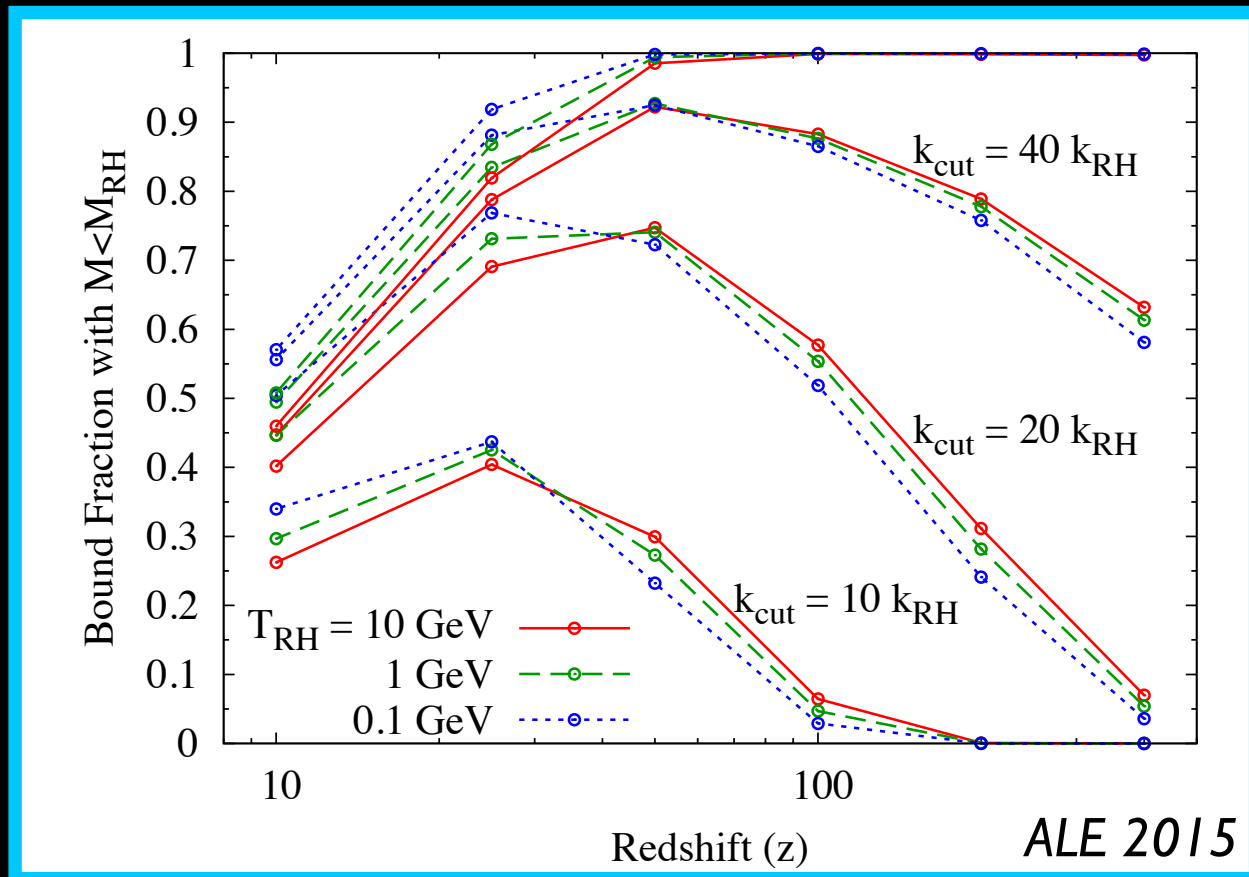


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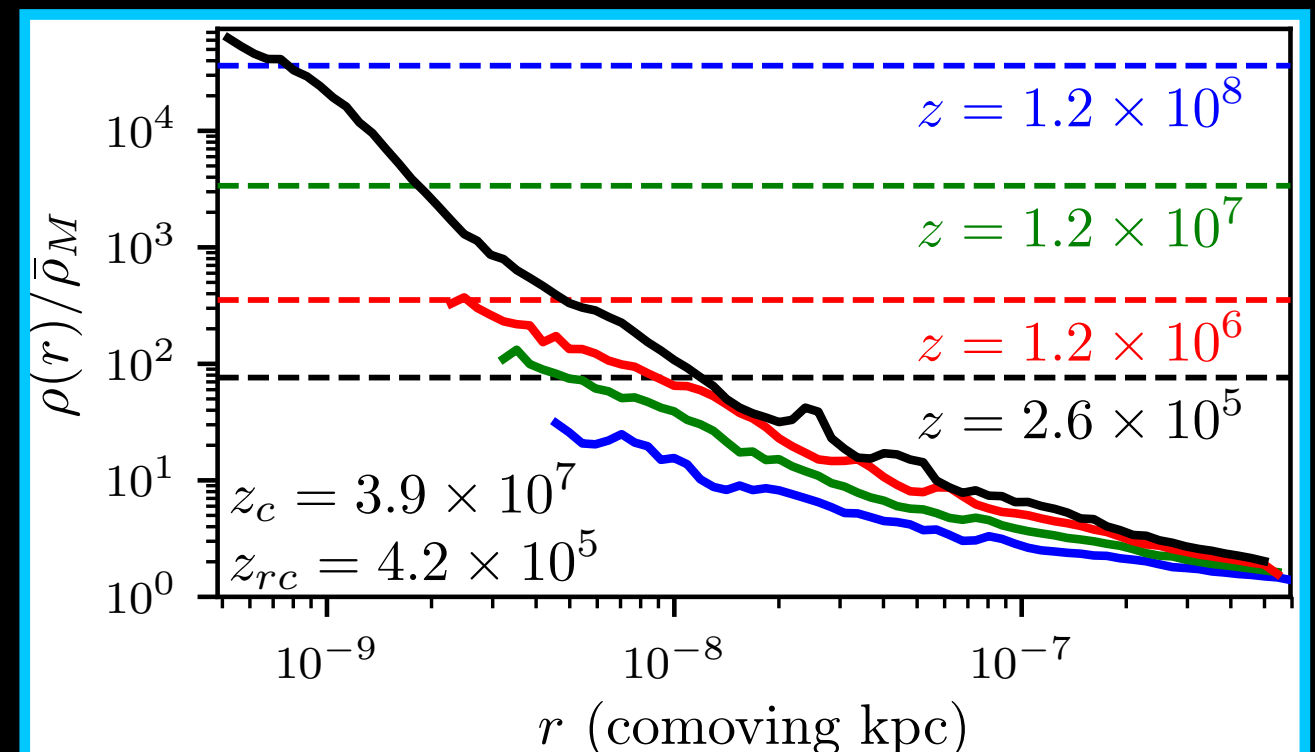
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- Beware halo formation during the EMDE; it heats your dark matter!

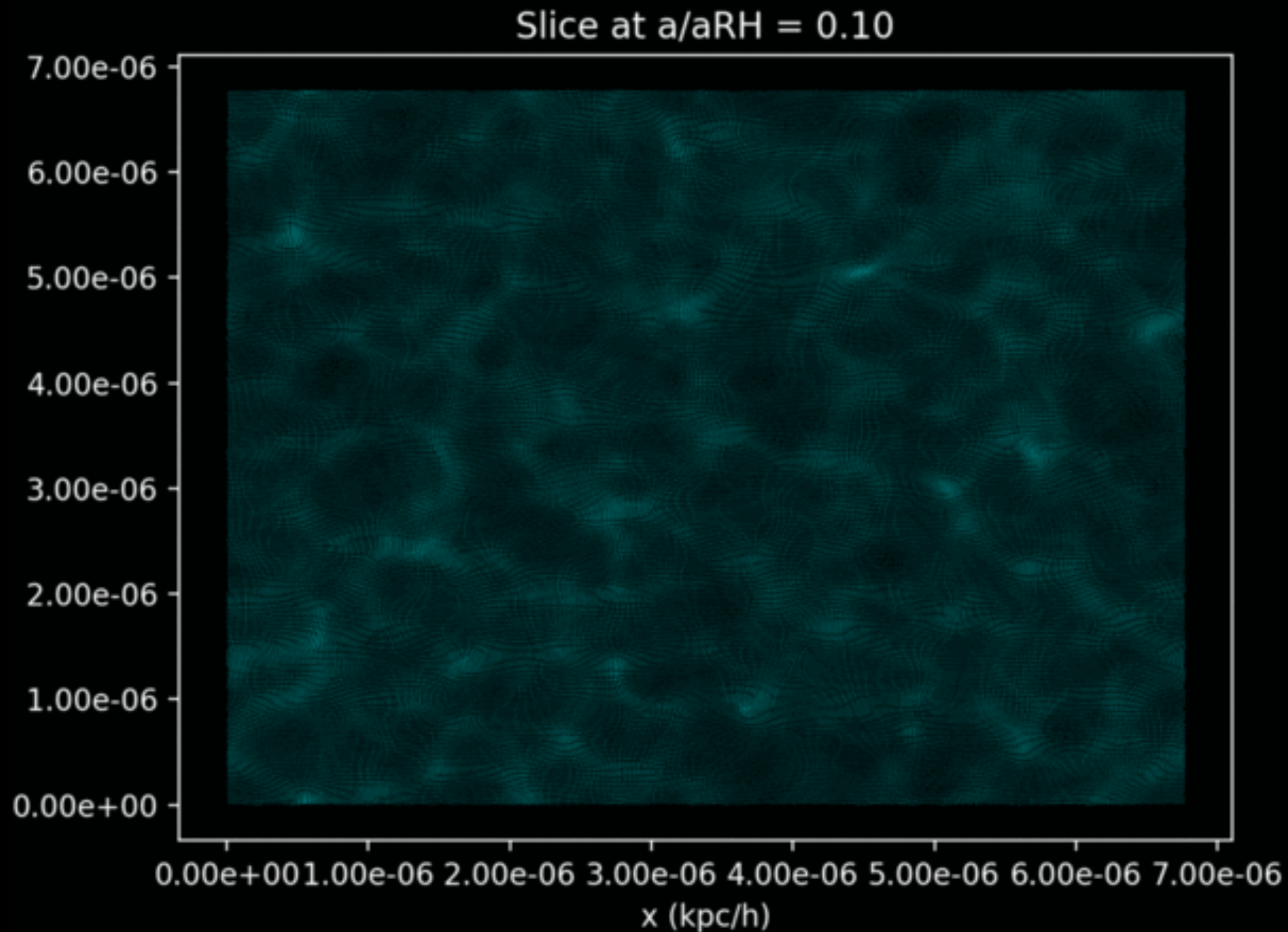
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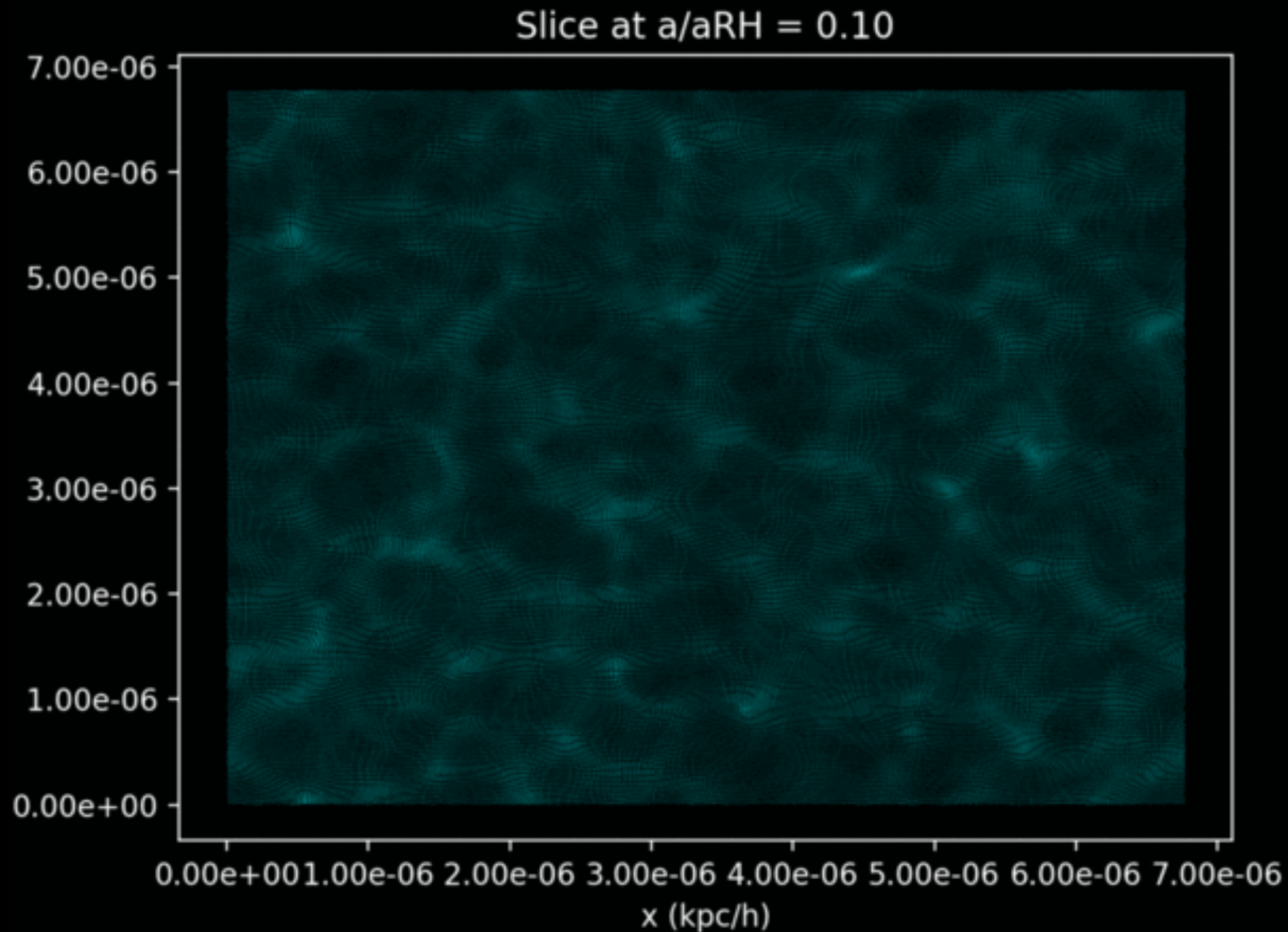


# Gravitational Heating



Simulations by **Himanish Ganjoo and M. Sten Delos**

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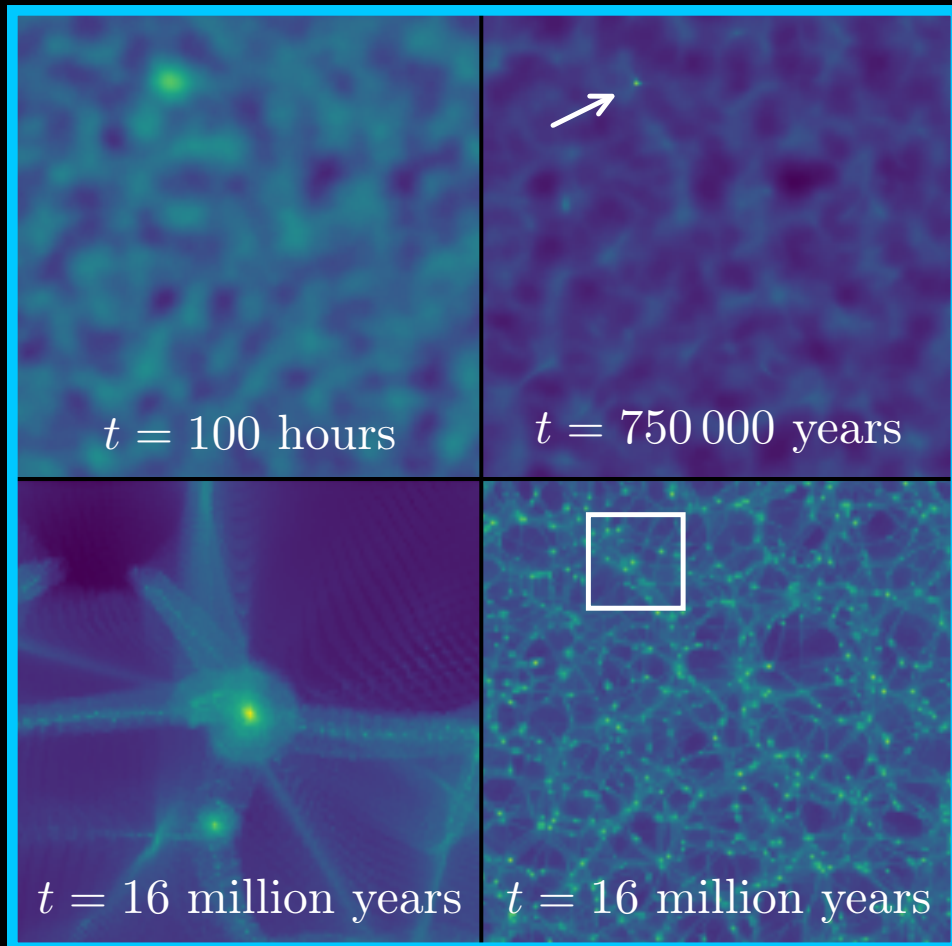


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# The Dark Matter Annihilation Rate

Microhalos increase the DM annihilation rate by increasing the **boost factor**:

$$B(z) \equiv \frac{\langle \rho_\chi^2 \rangle}{\bar{\rho}_\chi^2} = \frac{n_{\text{halo}} \langle J \rangle}{\bar{\rho}_\chi^2}$$



*Delos et al. 2017*

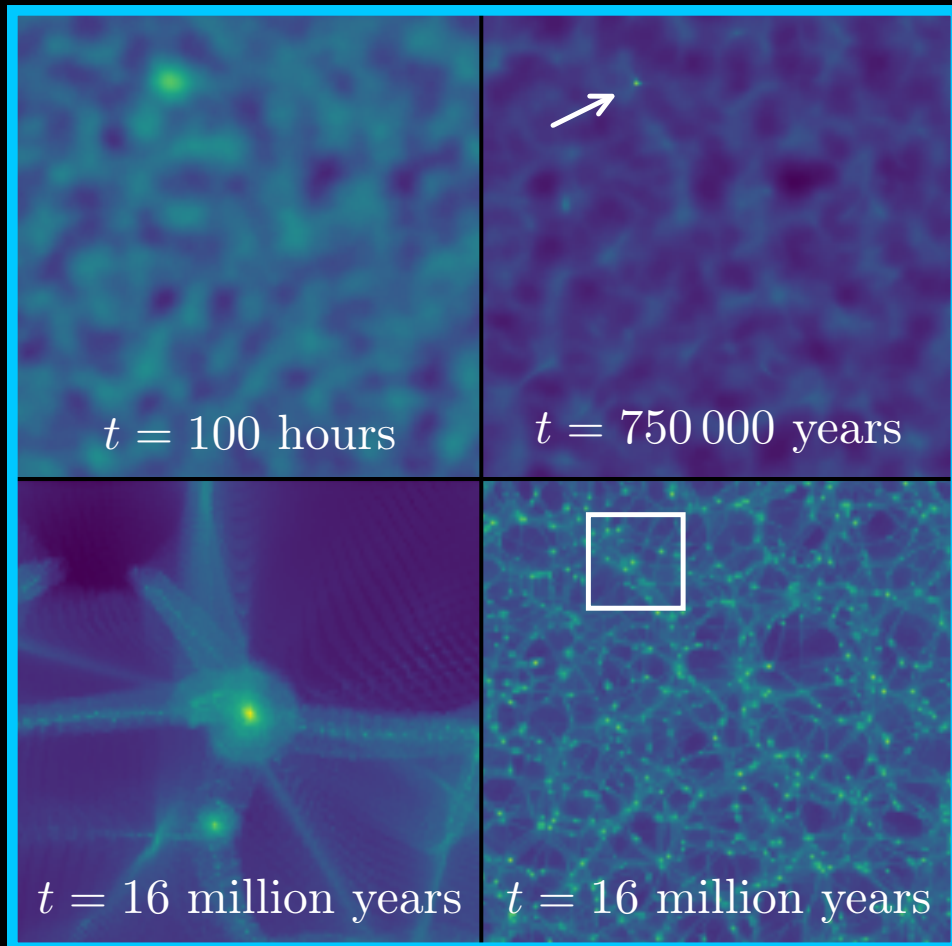
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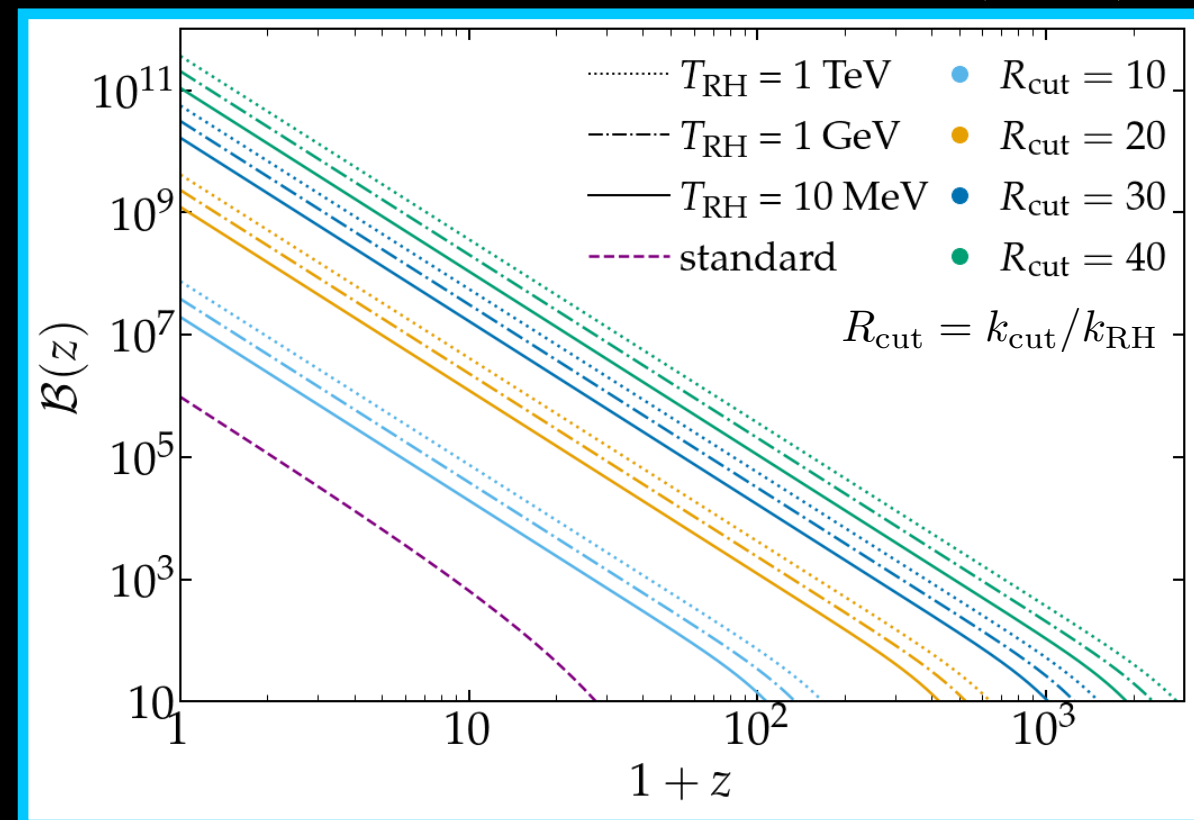


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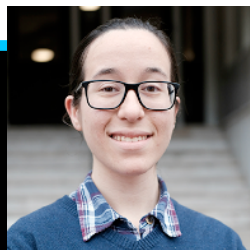
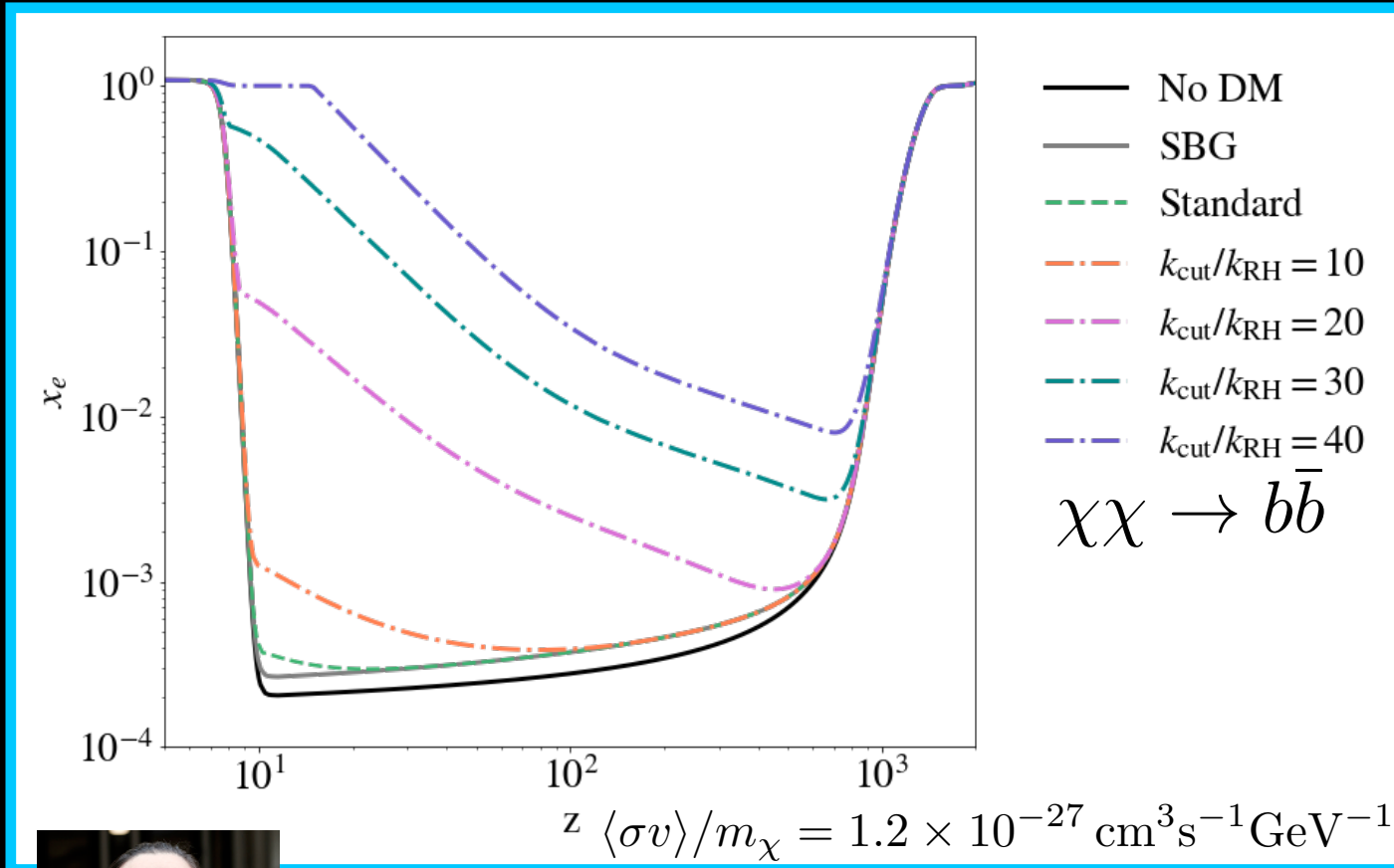
**Hwan Bae, Delos, ALE, coming soon**

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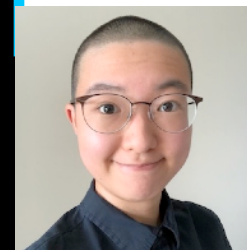
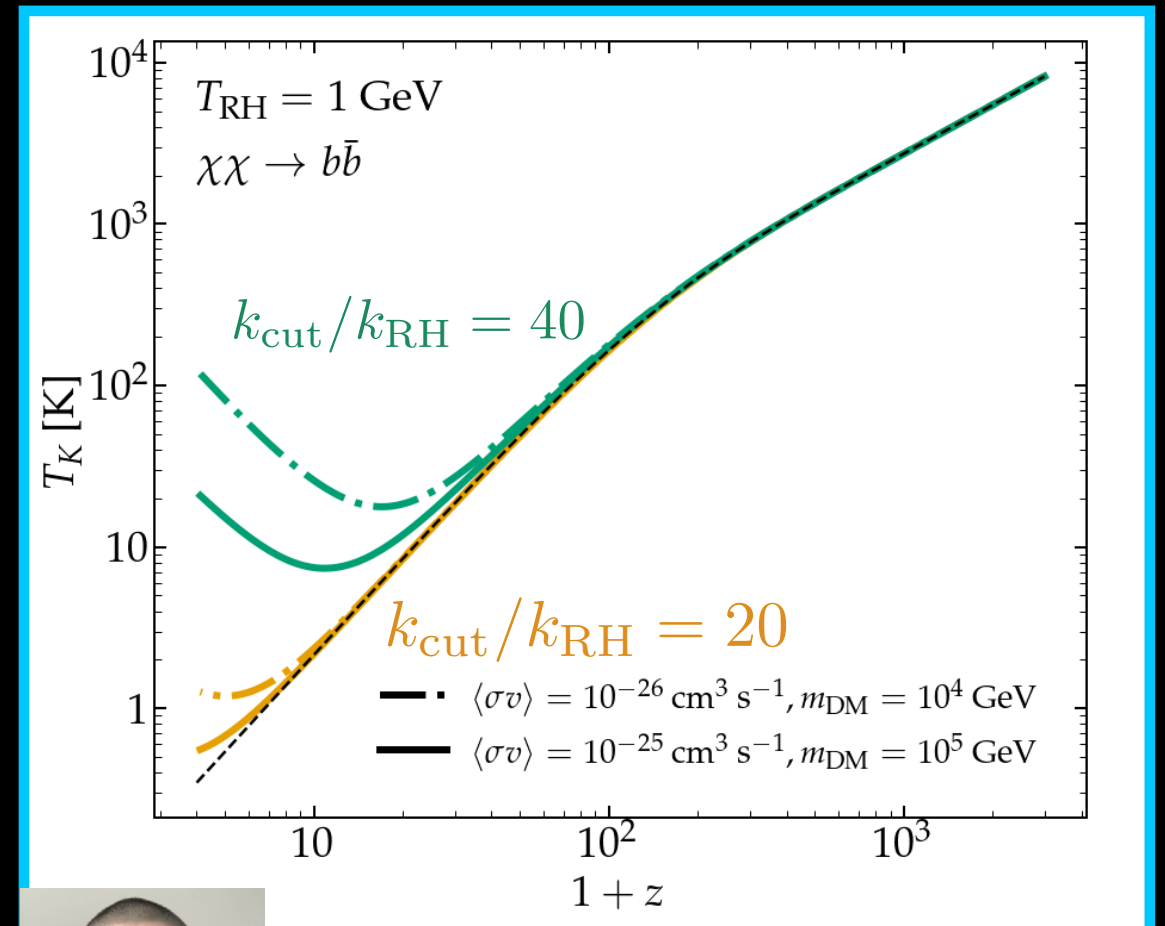


# Observational Constraints

Energy released by DM annihilation affects the **ionization fraction** and **IGM temperature**. Can be constrained by CMB and 21cm absorption.



**A. Turchaninova, Hwan Bae,**  
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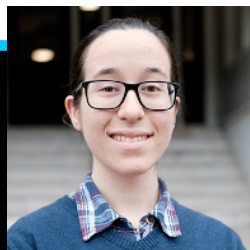
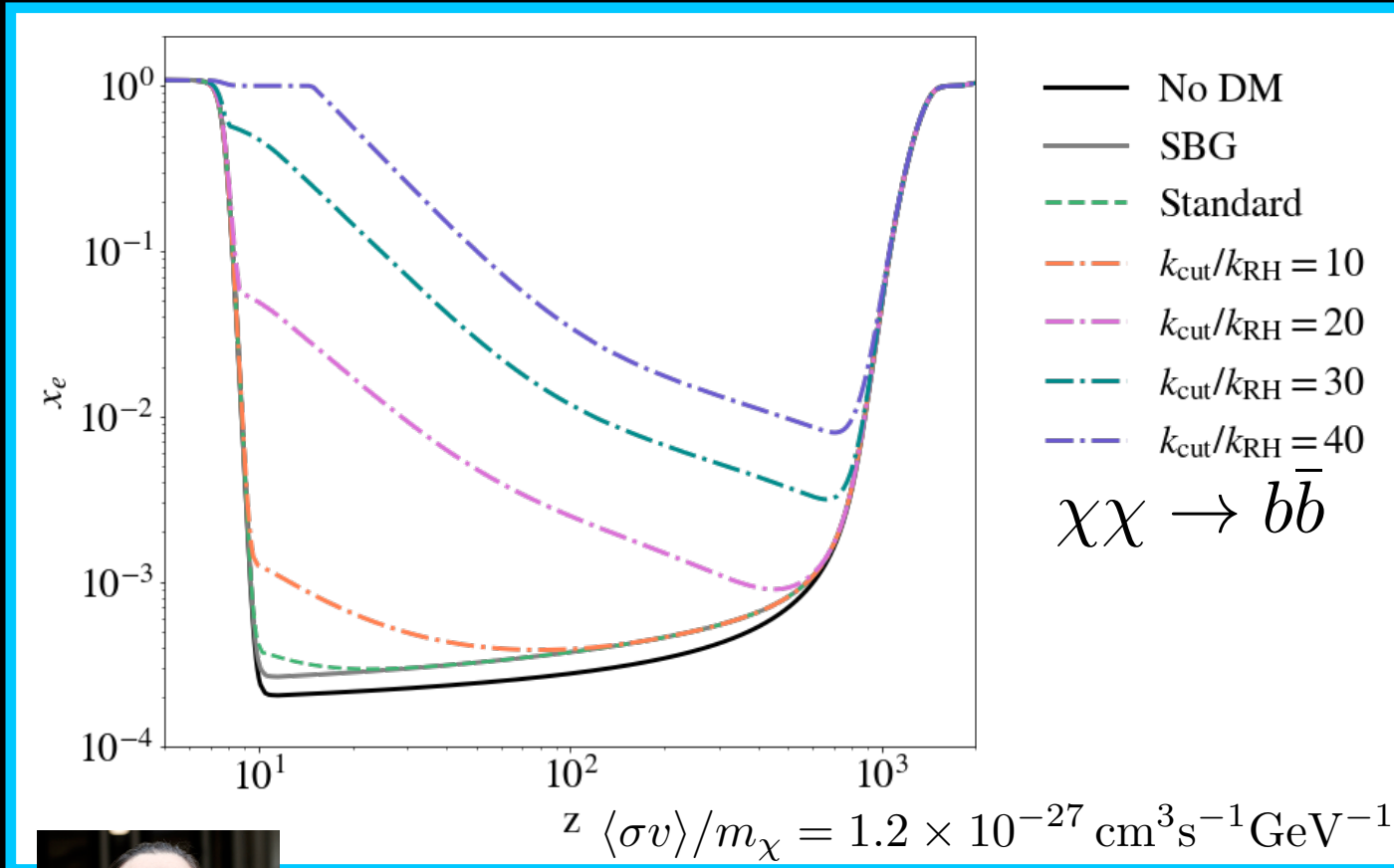


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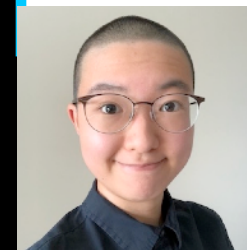
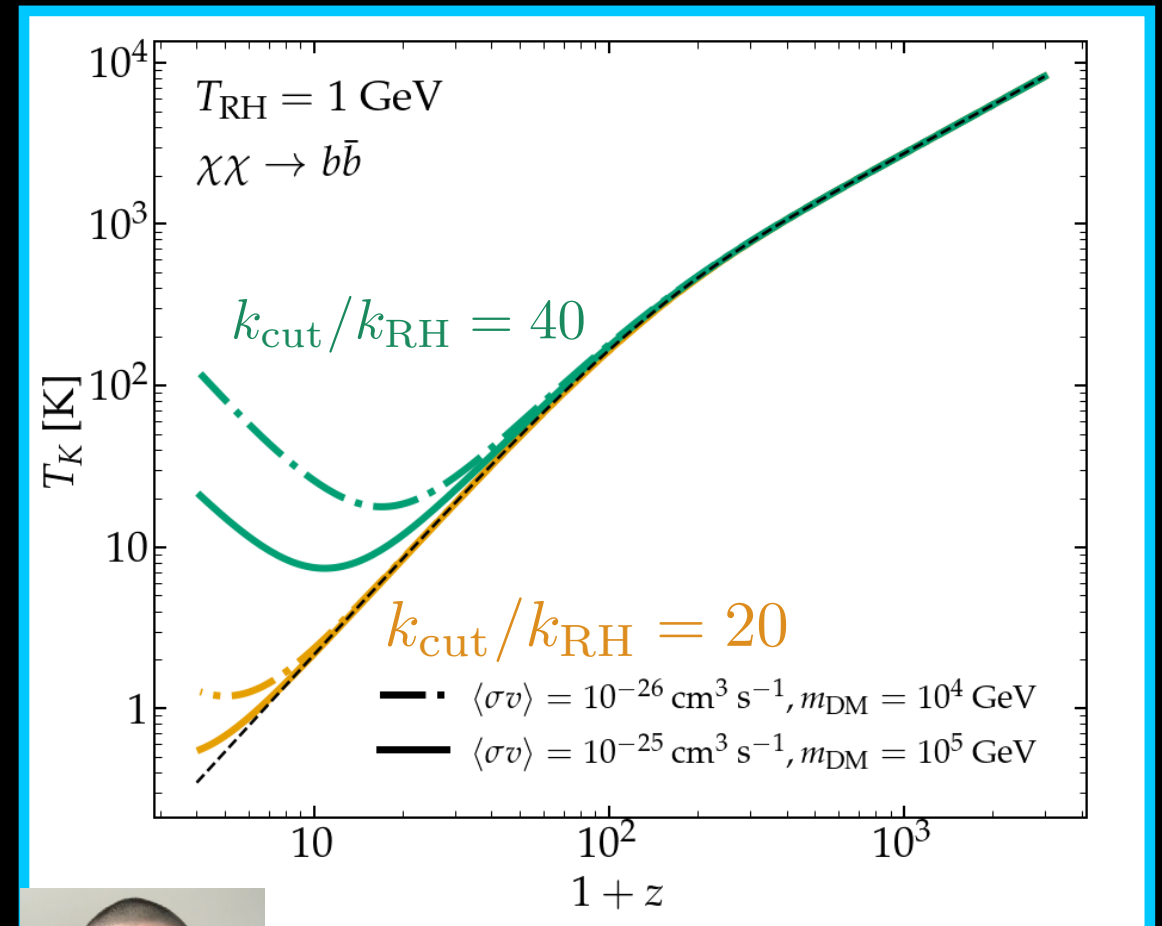


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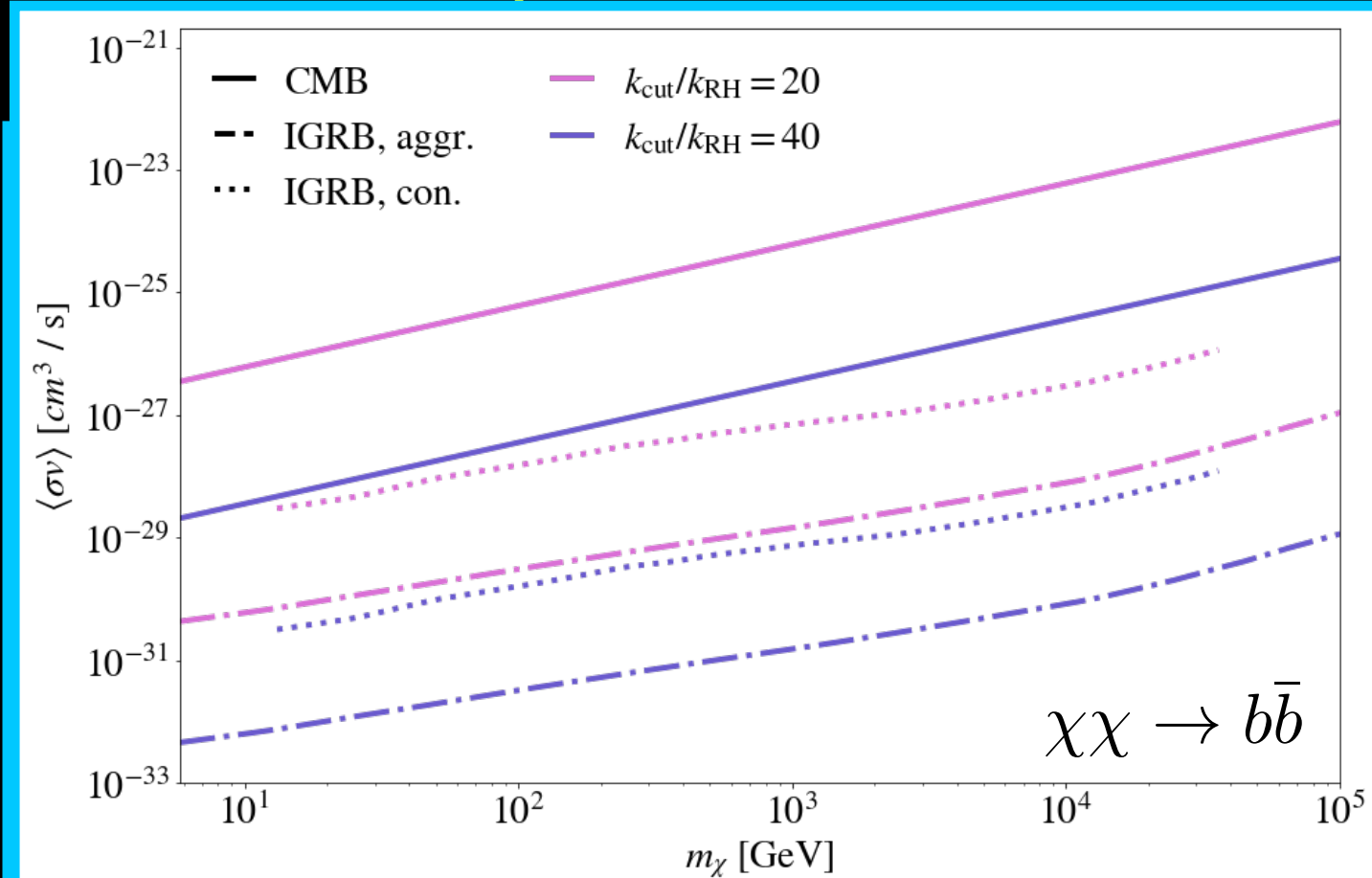
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**M. Sten Delos,**  
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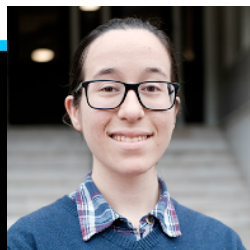


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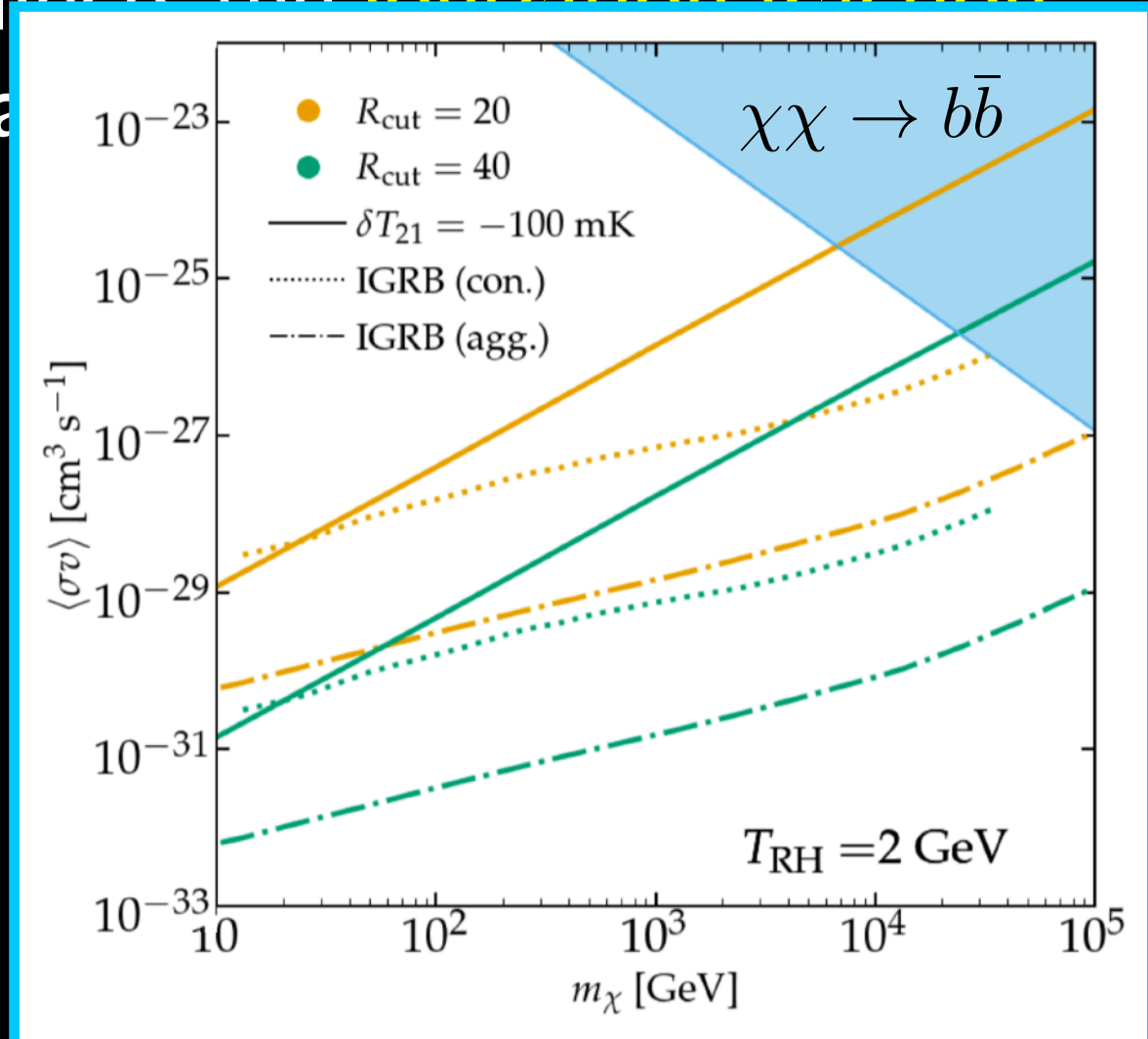
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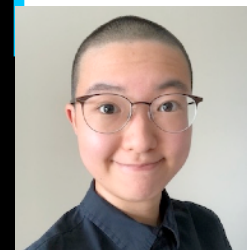
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**A. Turchaninova, Hwan Bae,**  
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$$1 + z$$



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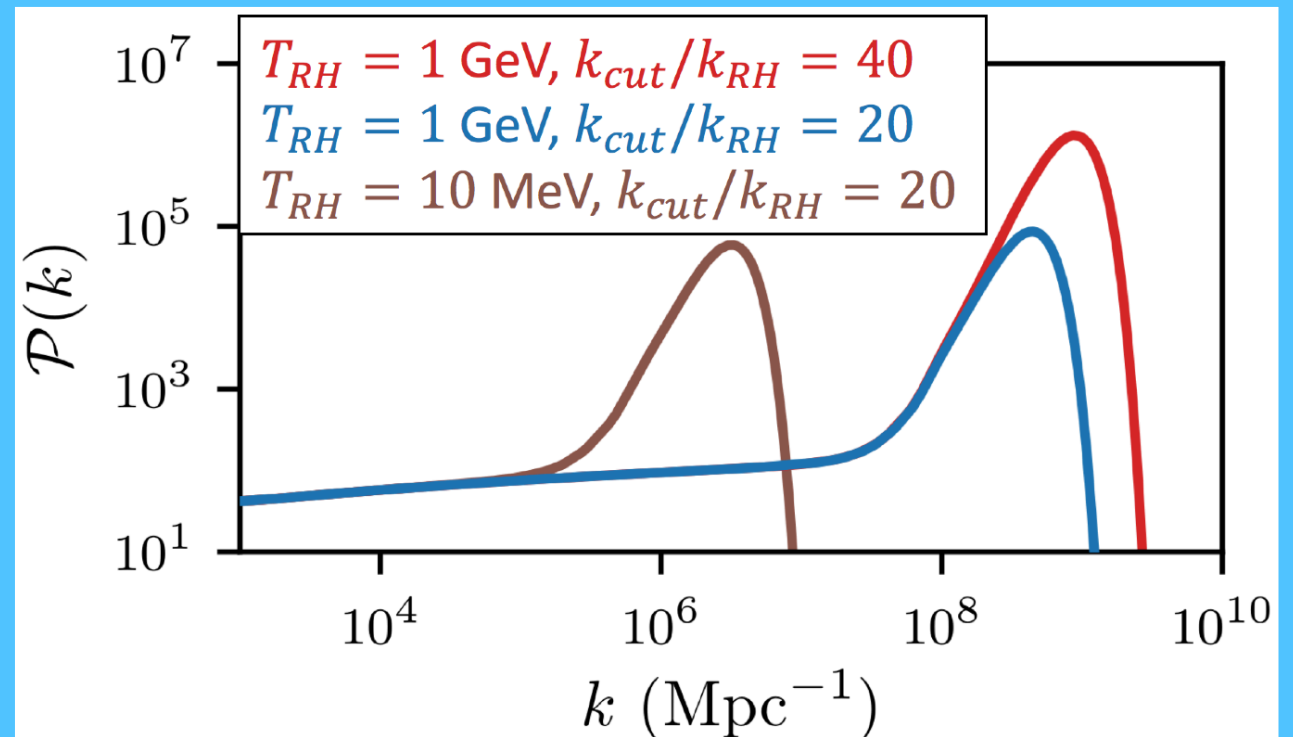
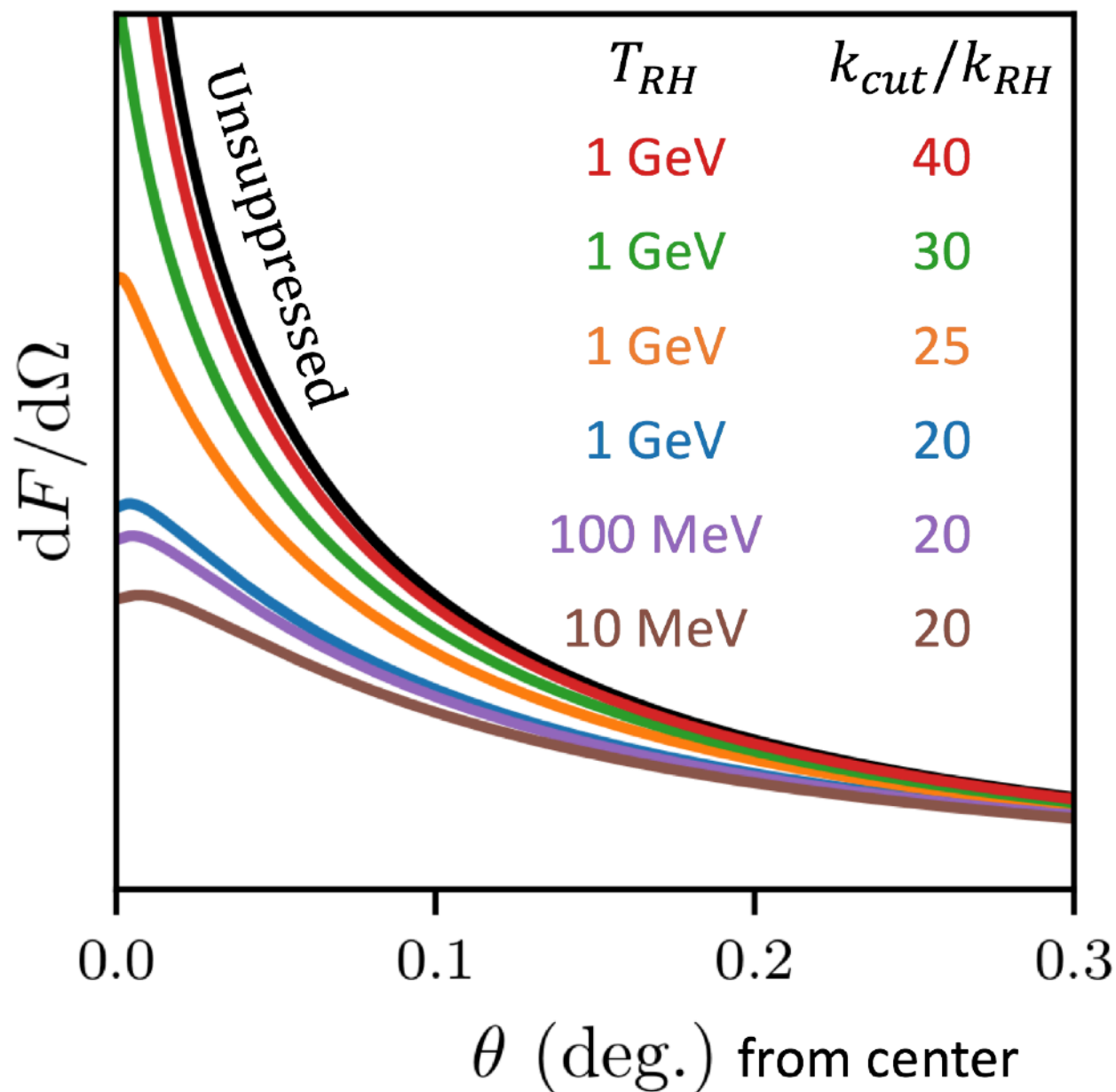
# Microhalos within Dwarf Galaxies

## Case study: Draco

Sten Delos, Tim Linden, ALE 2019



Microhalos in the central region are disrupted by stars and tides, reducing the annihilation signature.



Since  $k_{cut}/k_{RH}$  determines the microhalos' densities, it sets how much they are disrupted.

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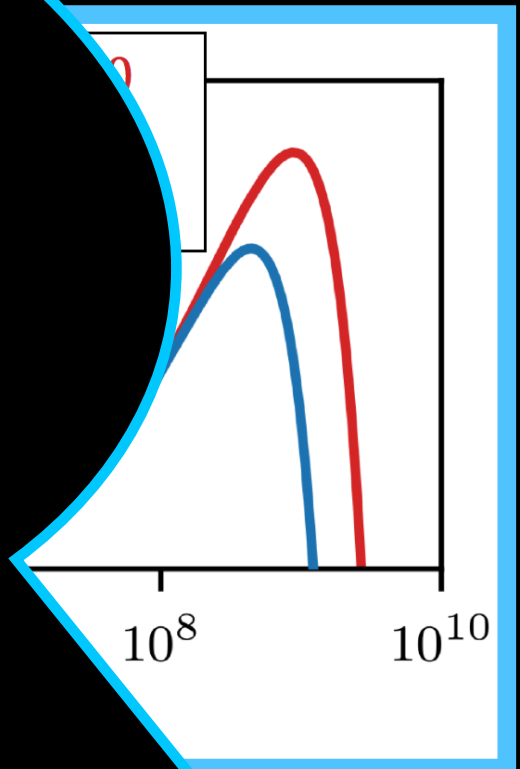
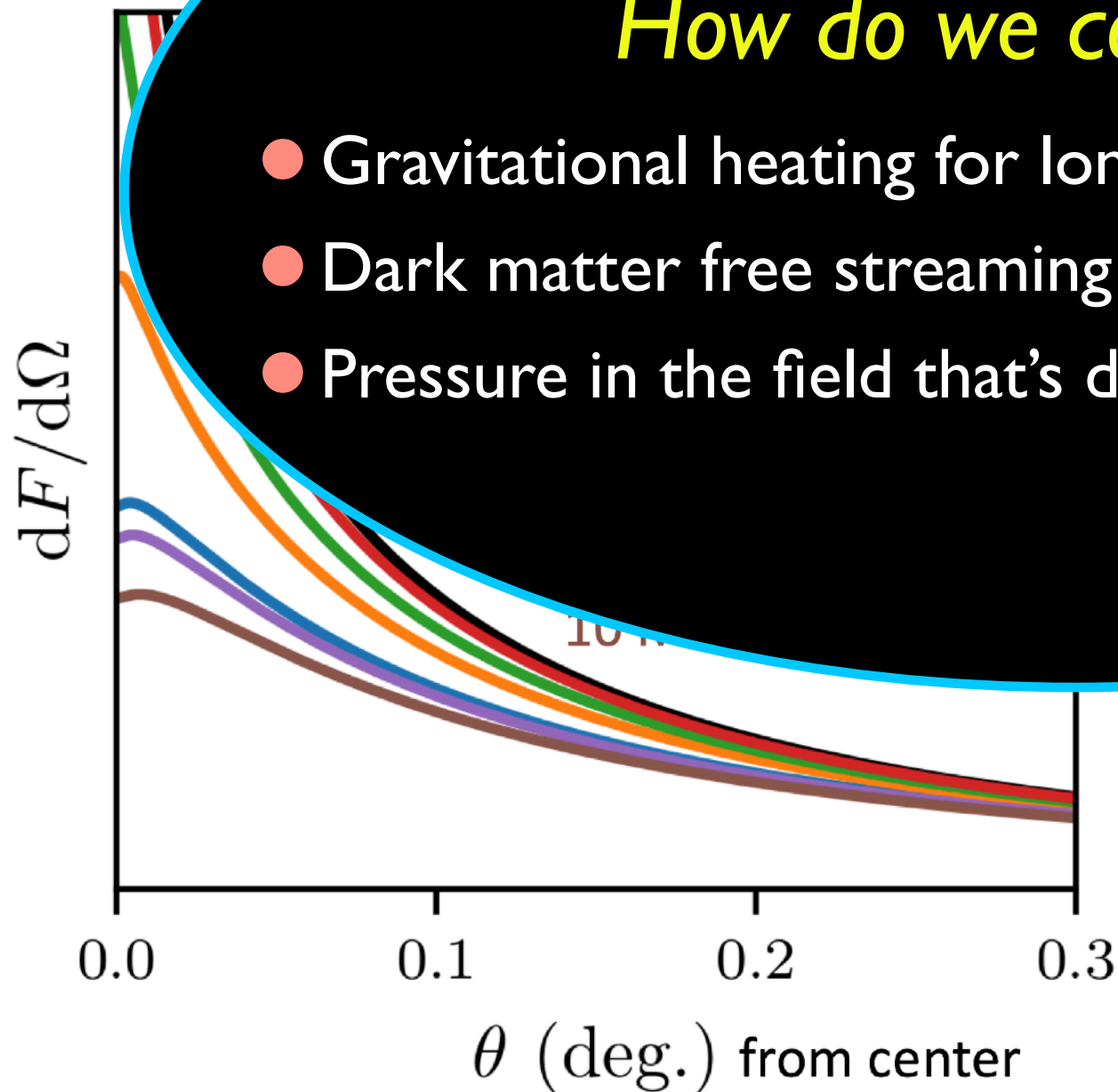
Sten Delos, Tim Linden, ALE 2019



Microhalos in dwarf galaxies: stars and tides, red

*One remaining question:  
How do we compute  $k_{\text{cut}}$ ?*

- Gravitational heating for long EMDEs
- Dark matter free streaming
- Pressure in the field that's dominant during the EMDE

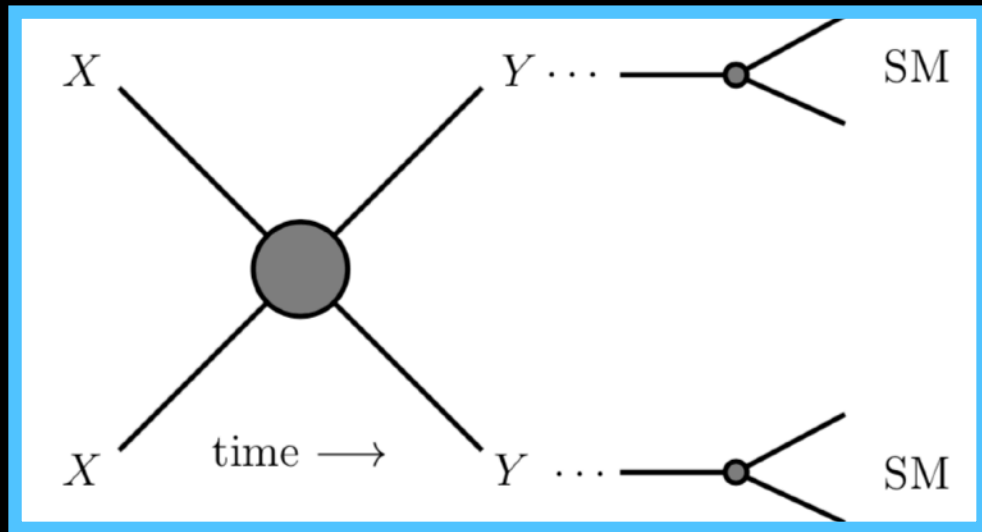


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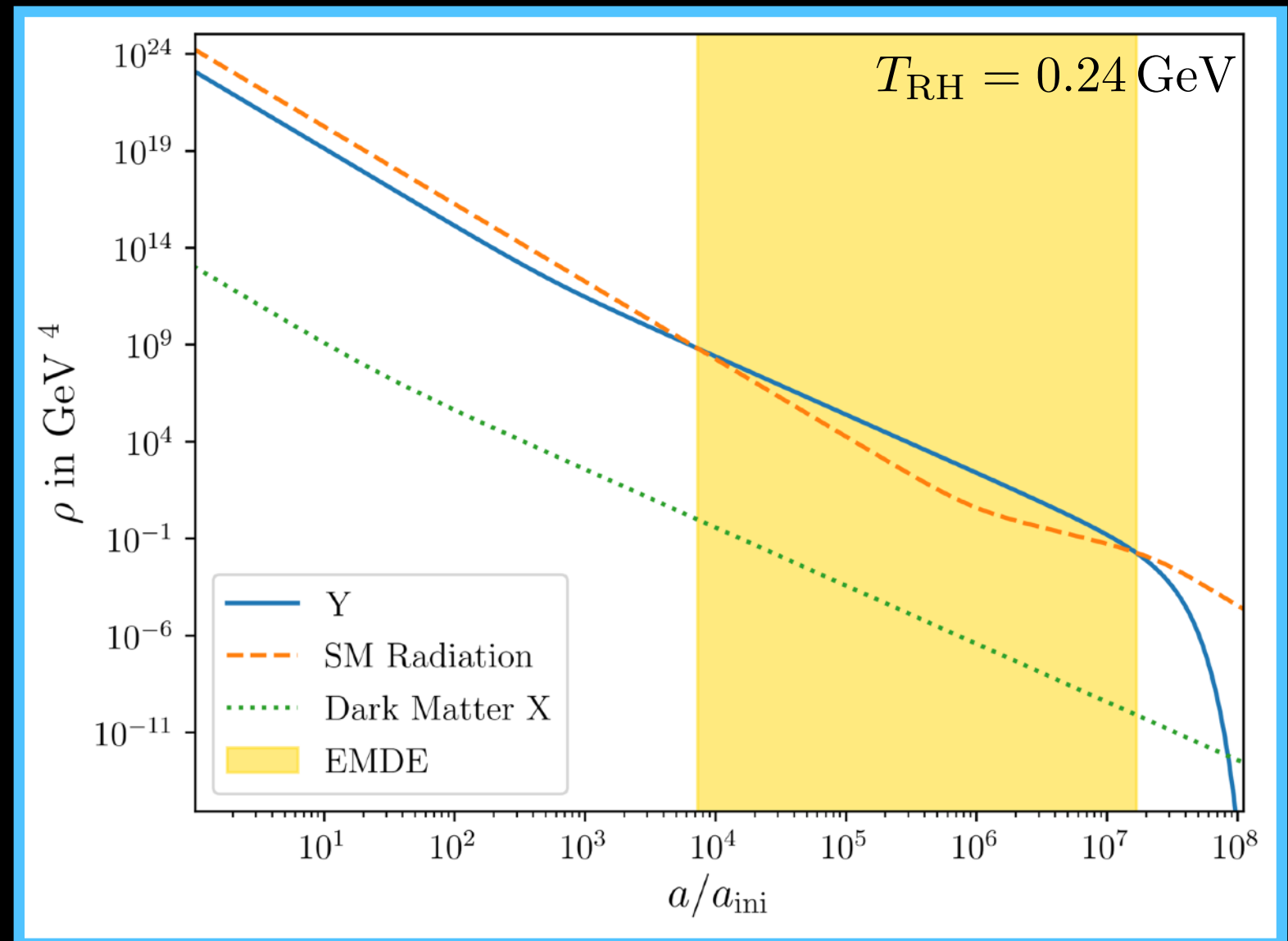
# The Hot Hidden Sector

If dark matter is part of a **hidden sector**, it may never interact with the Standard Model, and it could be **very, very cold**.

- Dark matter free-streaming is often NOT the cause of the small-scale cut-off.
- Instead, the properties of the **dominant hidden particle** set the cut-off.



- The Y particles are initially relativistic, but then they cool and come to dominate the Universe.
- The HS and the SM have different temperatures.





# Y Perturbation Evolution

During the EMDE, dark matter particles fall into gravitational wells sourced by Y particles:

$$\delta_X \rightarrow \delta_Y$$

**Himanish Ganjoo,**  
ALE, W. Lin, K. Mack  
2023

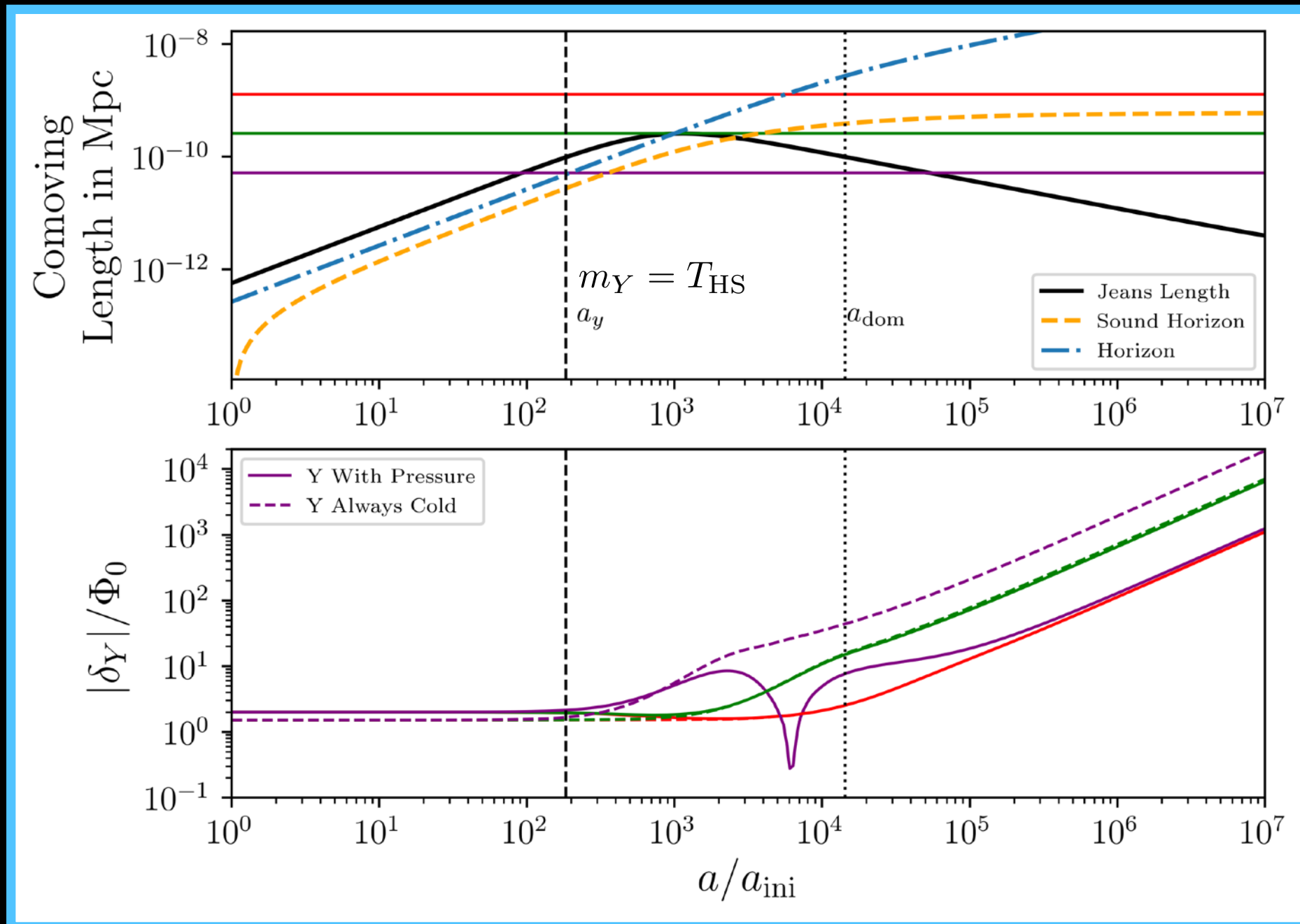


The Y particles have pressure support for  $\lambda < \lambda_J$

$$\lambda_J = \sqrt{\frac{2}{3}} \frac{c_{sY}}{aH} \frac{\rho_R + \rho_Y}{\rho_Y}$$

$$\lambda_J \propto a \quad \text{RD}; m_Y < T_D$$

$$\lambda_J \propto a^{-1/2} \quad \text{YD}; m_Y > T_D$$



# The Small Scale Cut-off

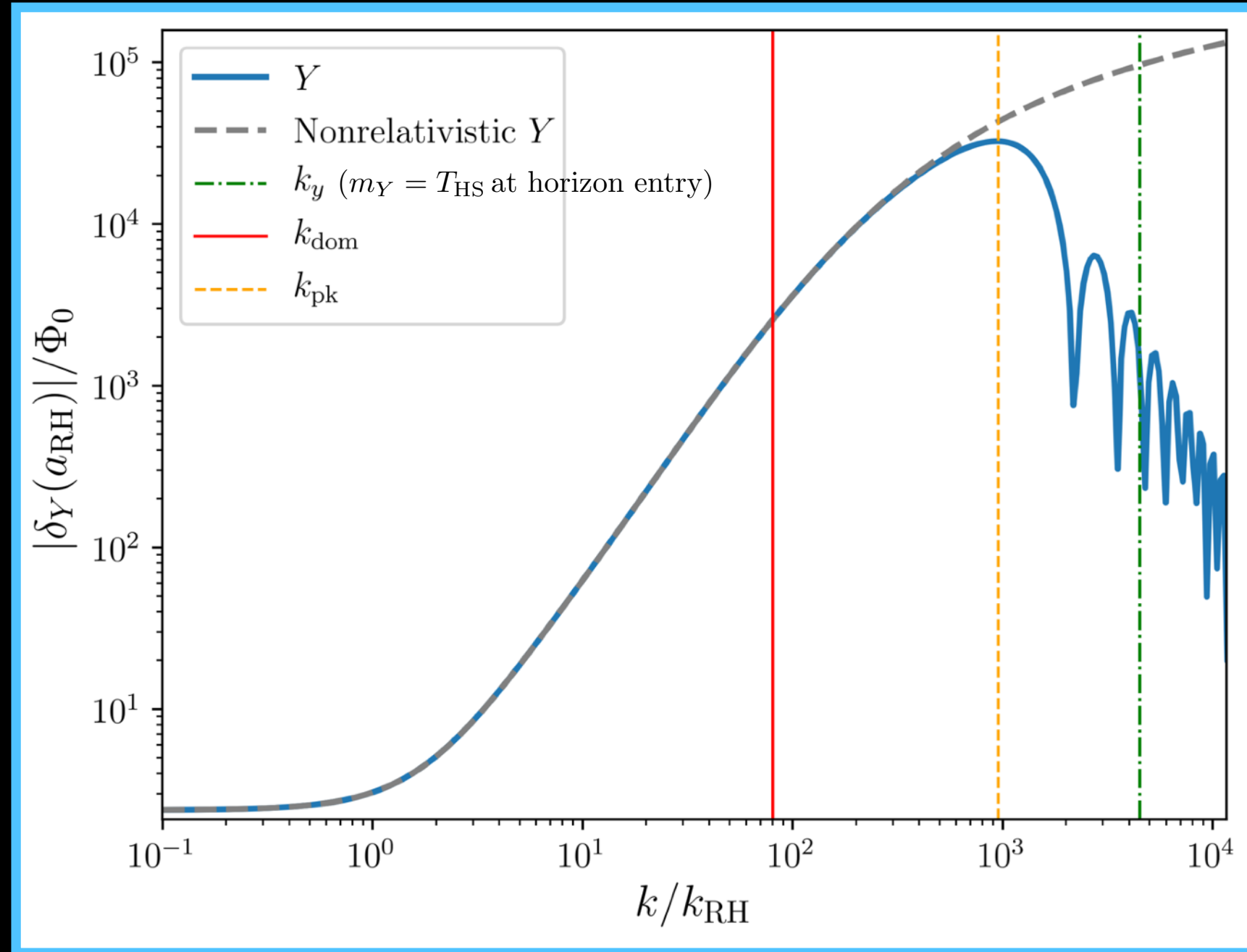
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2023



- Modes that enter the horizon while the  $Y$  particles are semi-relativistic are suppressed.
- The peak occurs at a fixed value of  $\lambda/\lambda_J$  at horizon entry:
$$\frac{k_{\text{pk}}}{k_{\text{dom}}} \simeq 0.3 \left( \frac{m_Y}{T_{\text{dom}}} \right)^{8/9}$$
- Changing the cut-off suppresses both the boost and gravitational heating.



# The Small Scale Cut-off

During the EMDE, dark matter particles fall into gravitational wells sourced by  $Y$  particles:

$$\delta_X \rightarrow \delta_Y$$

**Himanish Ganjoo,**  
ALE, W. Lin, K. Mack  
2023

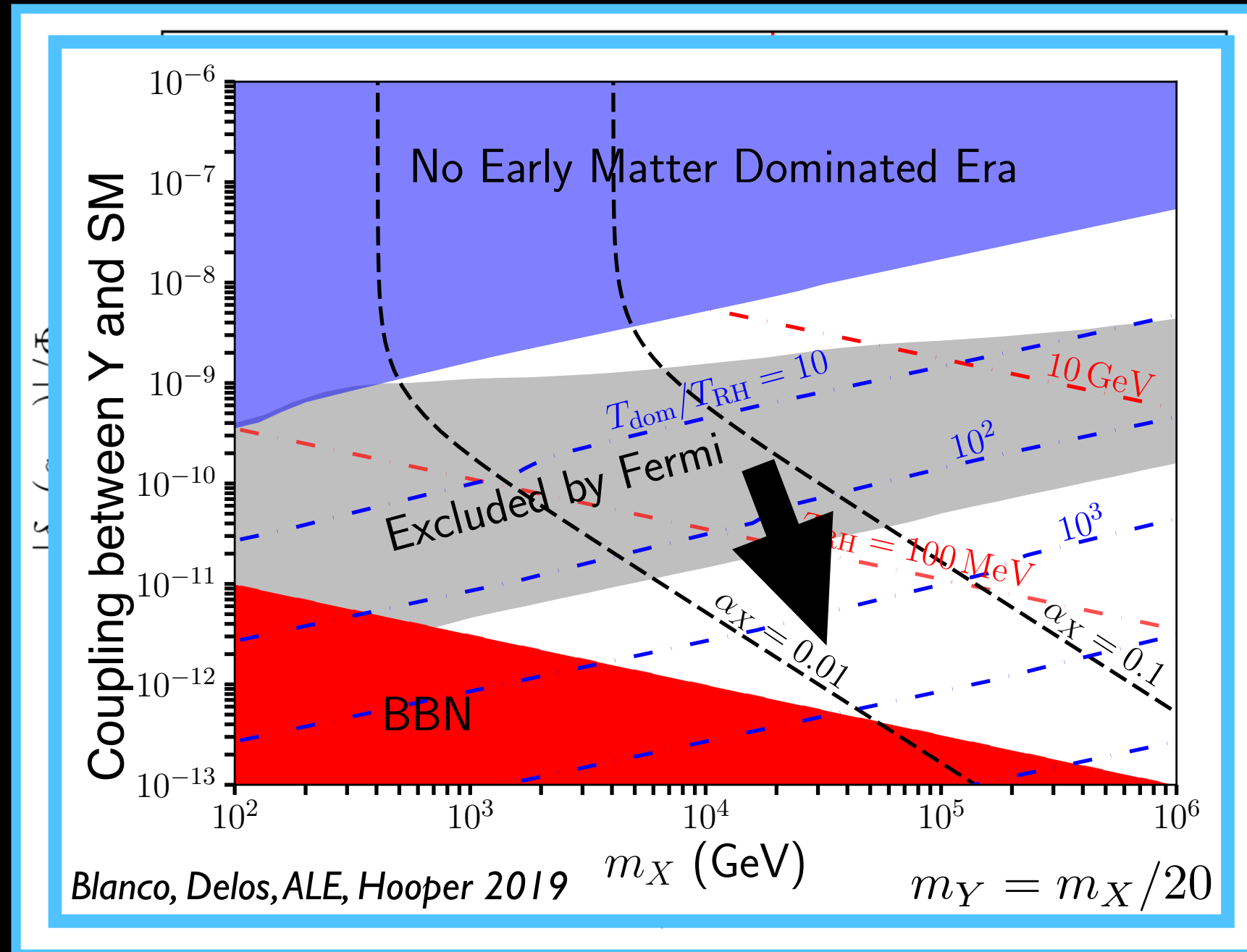


- Modes that enter the horizon while the  $Y$  particles are semi-relativistic are suppressed.

- The peak occurs at a fixed value of  $\lambda/\lambda_J$  at horizon entry:

$$\frac{k_{\text{pk}}}{k_{\text{dom}}} \simeq 0.3 \left( \frac{m_Y}{T_{\text{dom}}} \right)^{8/9}$$

- Changing the cut-off suppresses both the boost and gravitational heating.

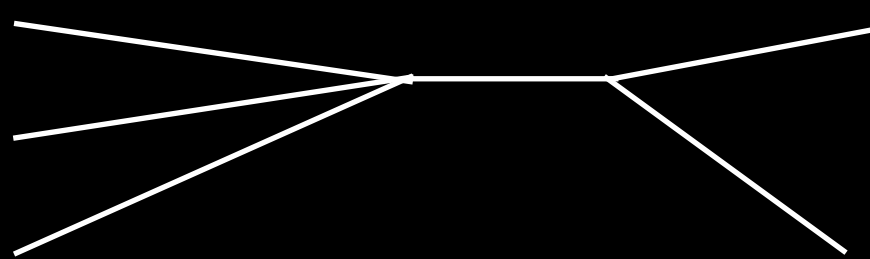


# Cannibalism within the Hidden Sector

Now suppose that the  $Y$  particle is a scalar with

$$\mathcal{L}_{\text{can}} = \frac{1}{2} \partial^\mu \varphi \partial_\mu \varphi - \frac{1}{2} m^2 \varphi^2 - \frac{g}{3!} \varphi^3 - \frac{\lambda}{4!} \varphi^4.$$

This allows 3-to-2 cannibal interactions:



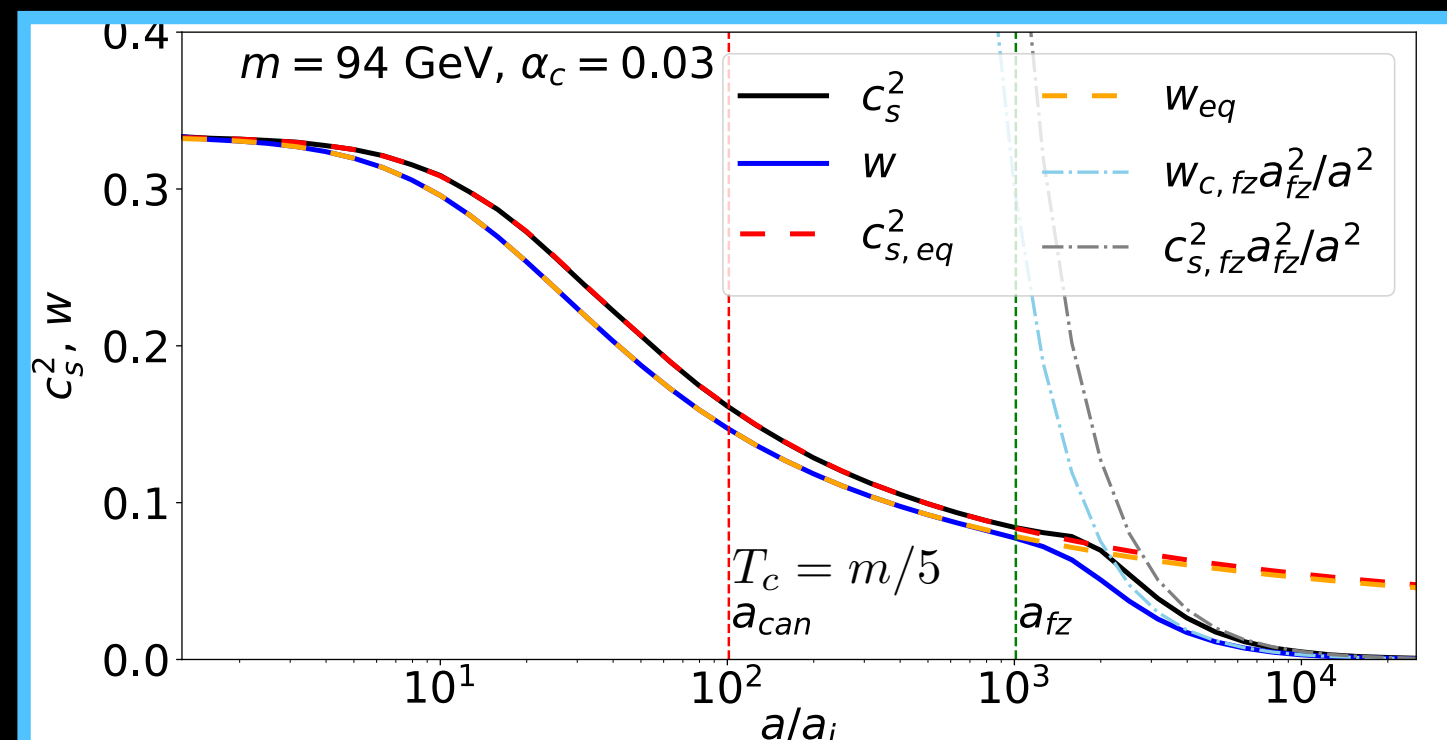
$$\langle \sigma v^2 \rangle_{\text{can}} = \frac{25\sqrt{5}(g/m)^2[(g/m)^2 - 3\lambda]^2}{147456\pi m^5} \equiv \frac{25\sqrt{5}\pi^2 \alpha_c^3}{5184 m^5}$$

*Pappadopulo, Ruderman, Trevisan 2016*  
*Farina, Pappadopulo, Ruderman, Trevisan 2016*  
*ALE, Ralegankar, Shelton 2022*

Cannibalism self-heats the cannibal field while  $m_\varphi < T_{\text{HS}}$ :

$$T_c \propto \frac{1}{\ln(a/a_{\text{can}})}$$

$$\rho_c \propto \frac{1}{a^3 \ln(a/a_{\text{can}})}$$

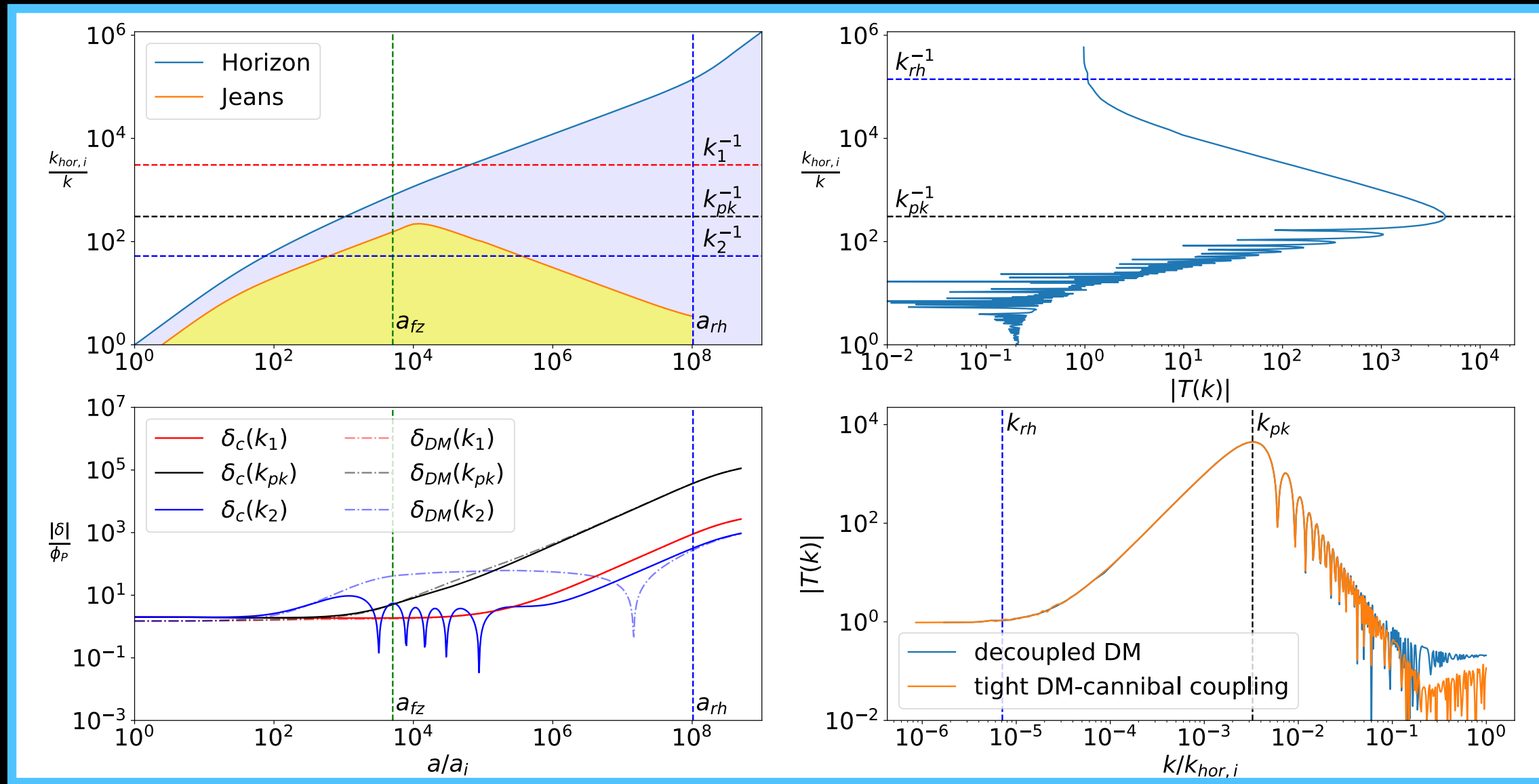


# Cannibal Perturbations

ALE, **Pranjal Ralegankar**,  
Jessie Shelton 2021



If the cannibals dominate the Universe at cannibal freeze-out:



● Again, dark matter falls into gravitational wells sourced by cannibals.

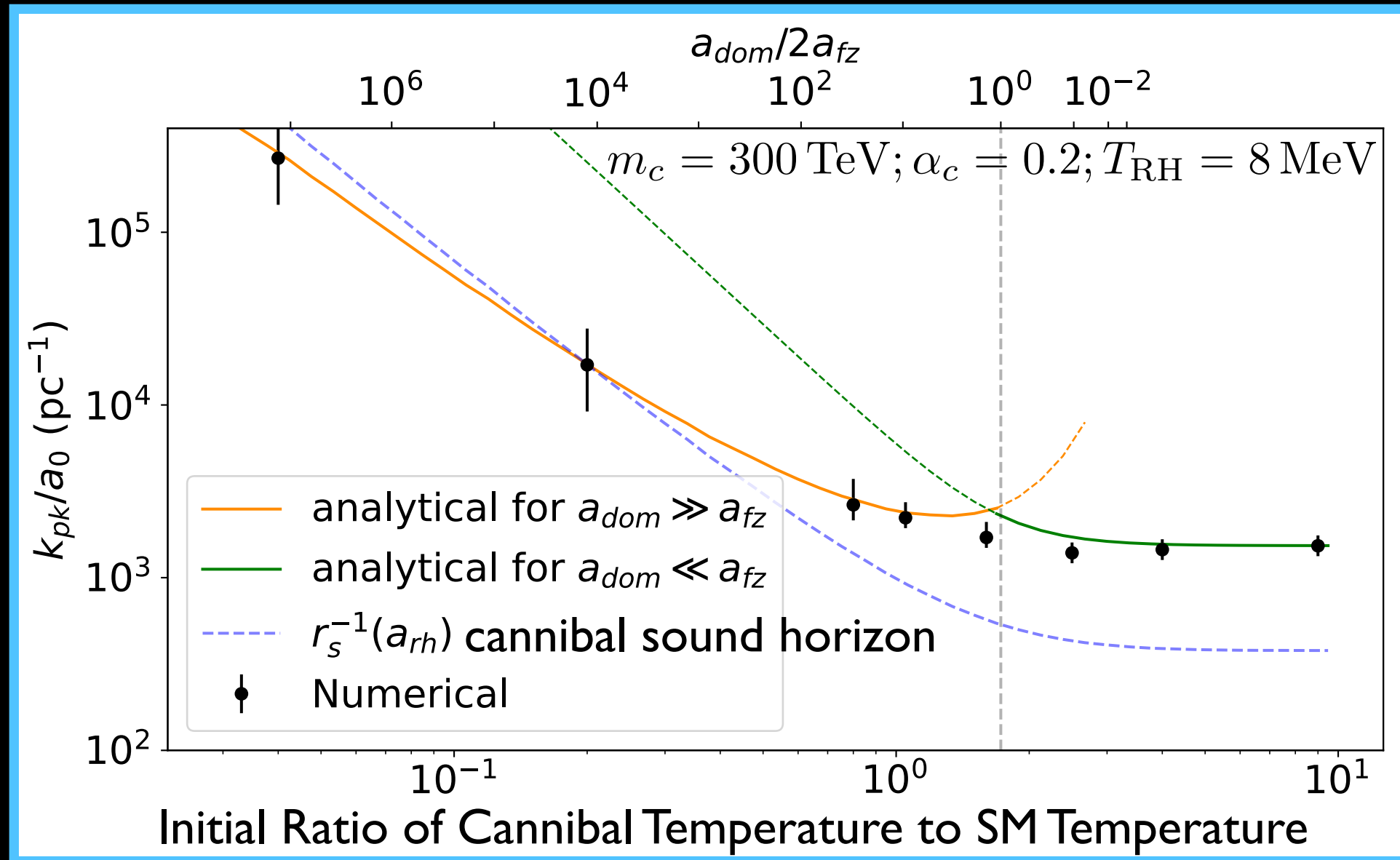
● Maximum Jeans length set by cannibal freeze-out.

● Peak scale  $k_{pk} \simeq k_J(2a_{fz})/1.4 \sim 40\text{pc}^{-1} \left(\frac{\alpha_c}{0.02}\right)^{-1/3} \left(\frac{T_{rh}}{10\text{MeV}}\right)^{1/3} \left(\frac{m_c}{\text{TeV}}\right)^{7/9}$

# Cannibalism's Lingering Impact

ALE, **Pranjal Ralegankar**,  
Jessie Shelton 2022

If cannibal interactions freeze-out before the cannibal field becomes dominant, cannibalism still sets the minimum halo mass!



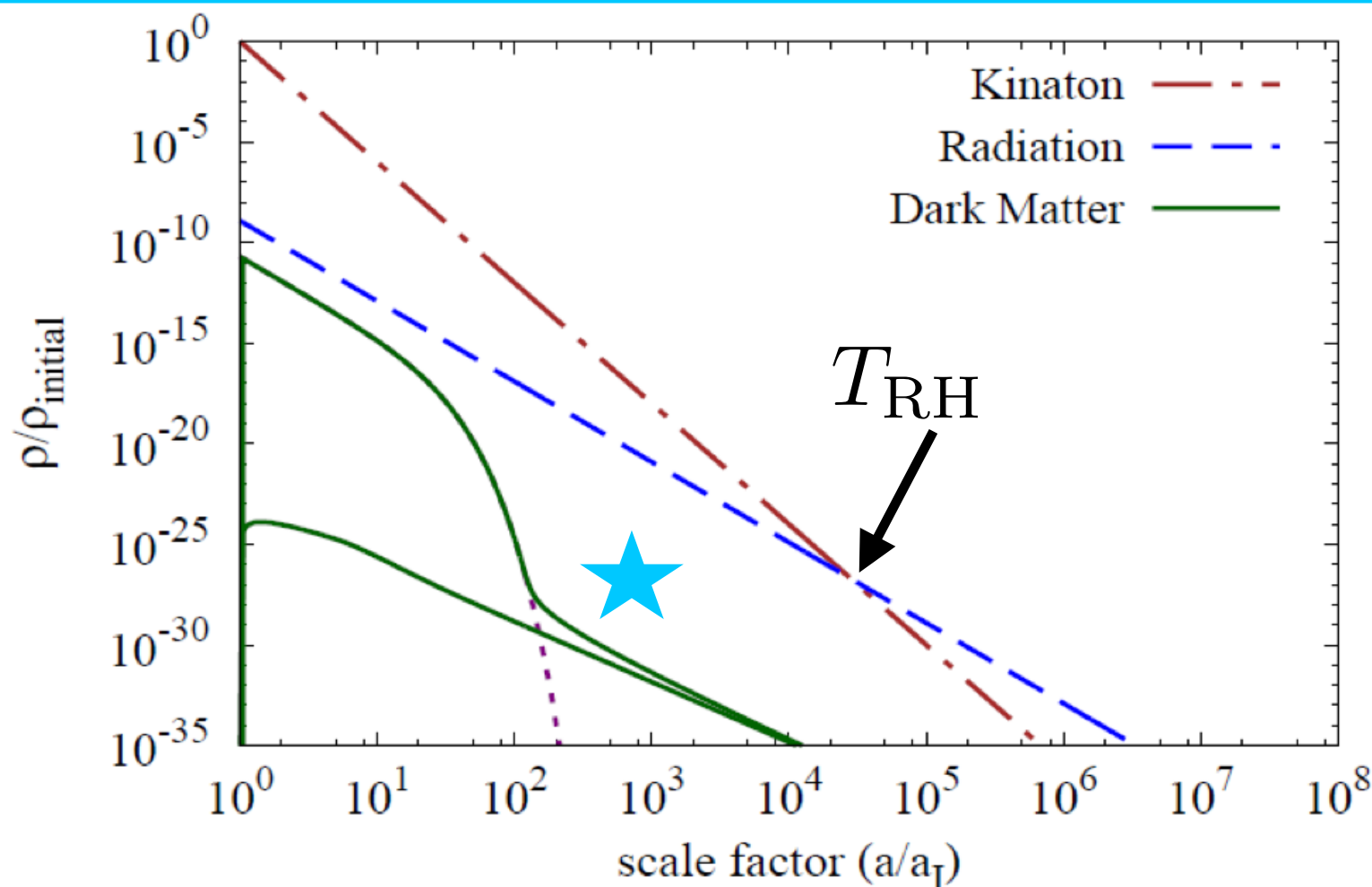
- The cannibal sound horizon roughly sets the scale of the peak in the power spectrum.
- We can connect the mass and density of smallest microhalos to cannibal properties.



# *Constraints on Dark Matter Production During Kination*

# DM Production During Kination

Kayla Redmond, ALE 2017



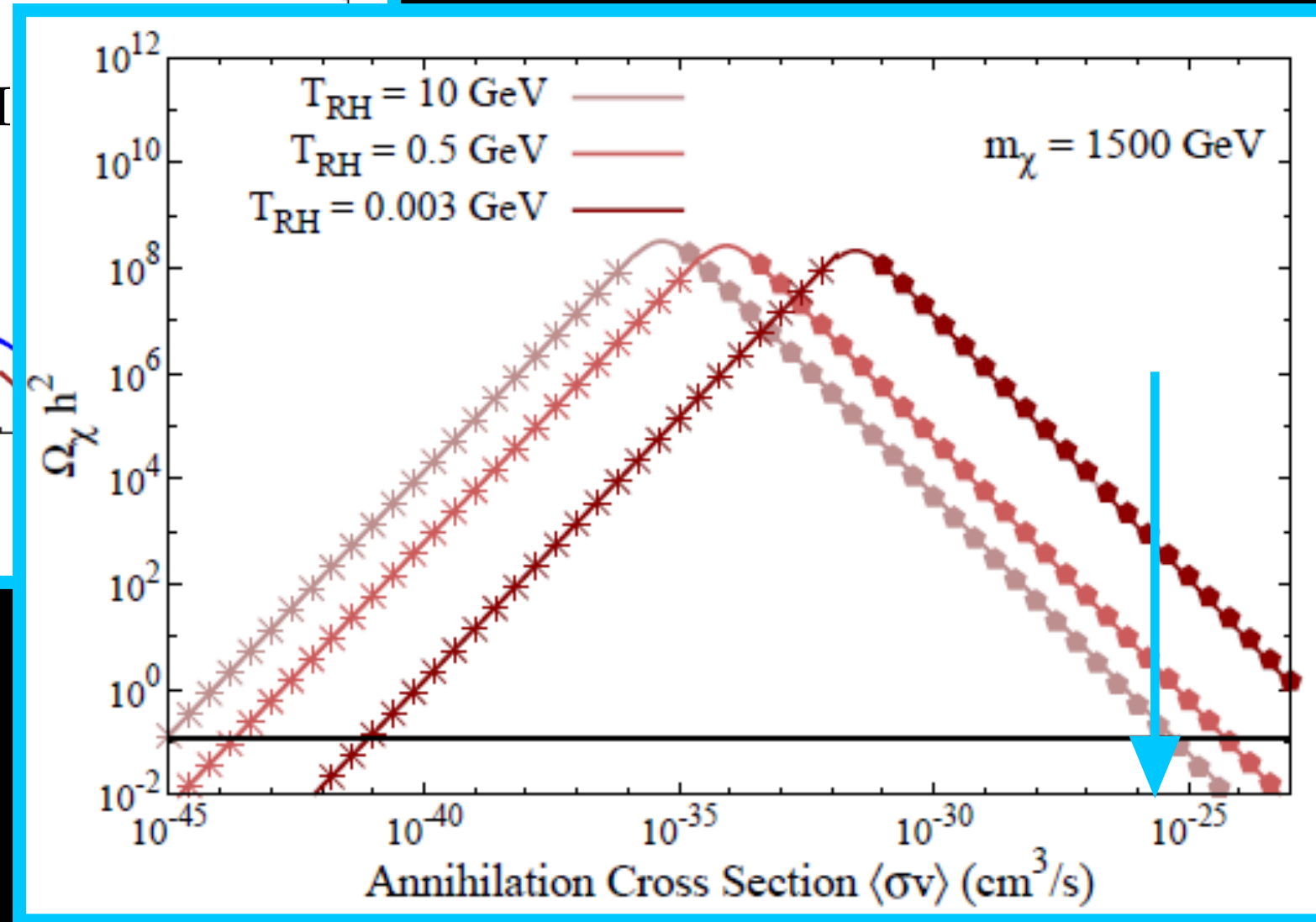
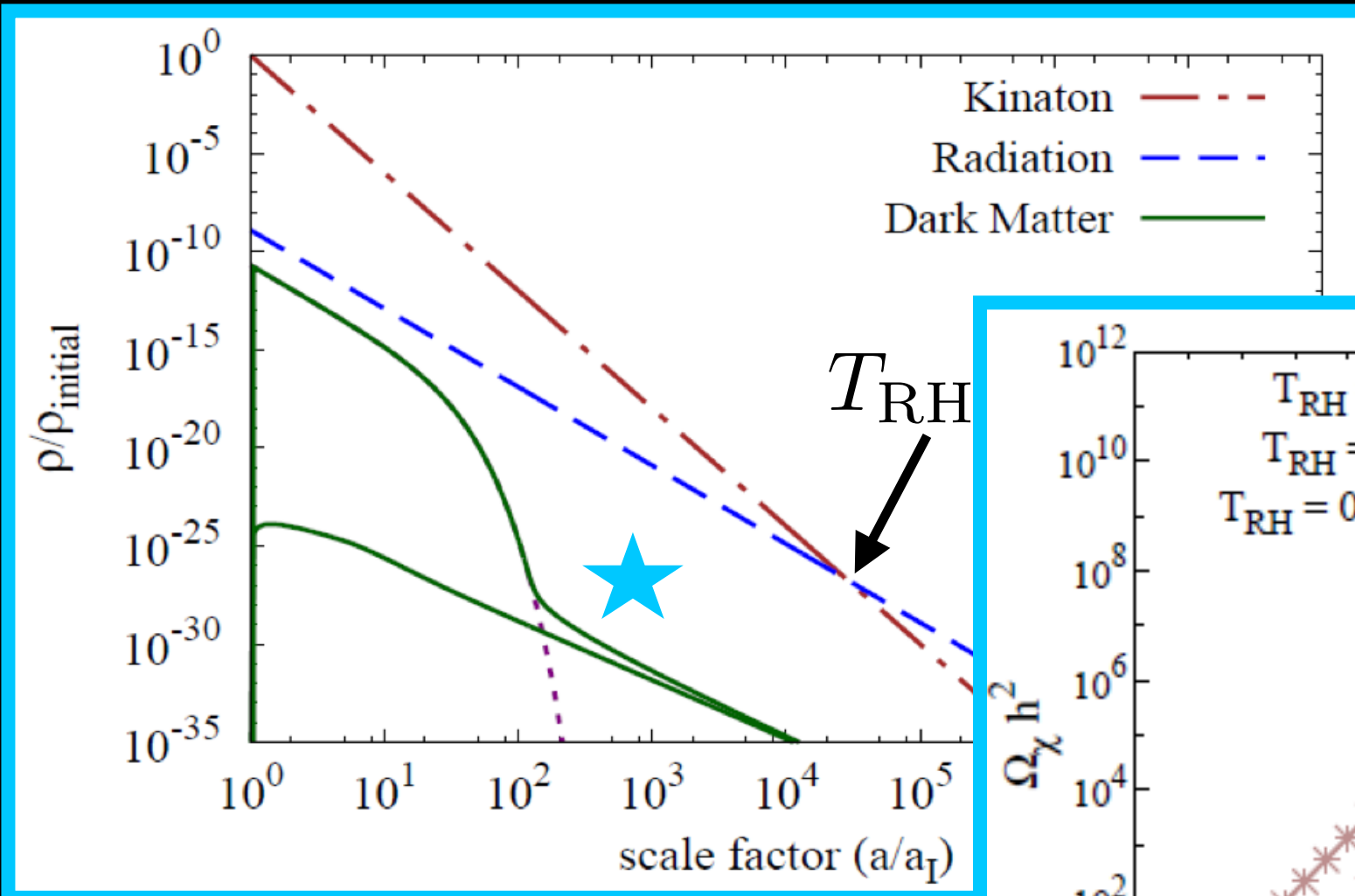
★ Relentless annihilation:

$$\rho_\chi \propto \frac{1}{a^3 \ln(a/a_f)}$$

See also D'Eramo et al. 2017

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Kayla Redmond, ALE 2017



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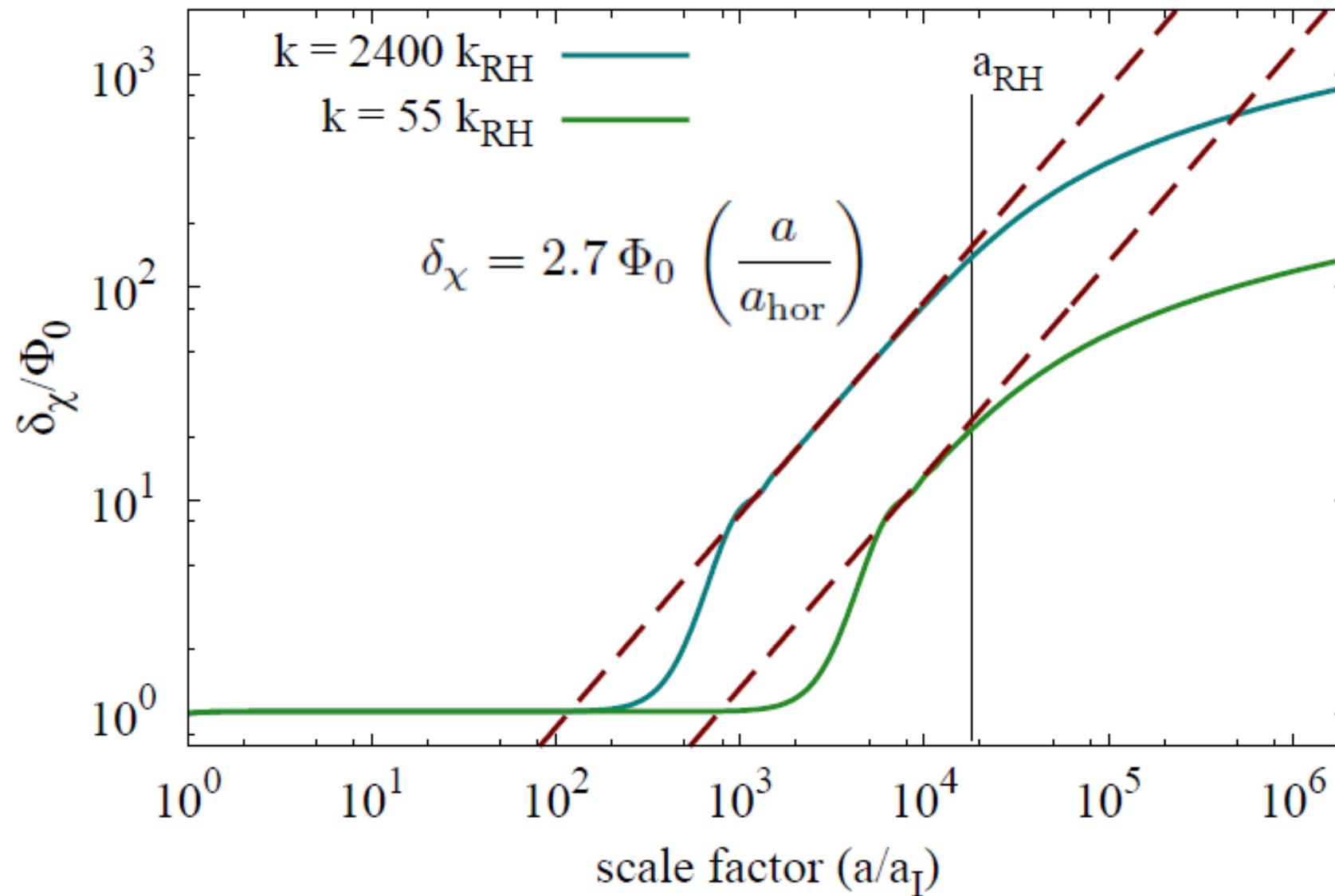
$$\rho_\chi \propto \frac{1}{a^3 \ln(a/a_f)}$$

See also D'Eramo et al. 2017

- faster expansion rate  $H(T)$  during kination implies earlier freeze-out
- larger annihilation cross section needed to match observed abundance

# Perturbation Growth during Kination

Kayla Redmond,  
Anthony Trezza, ALE 2018

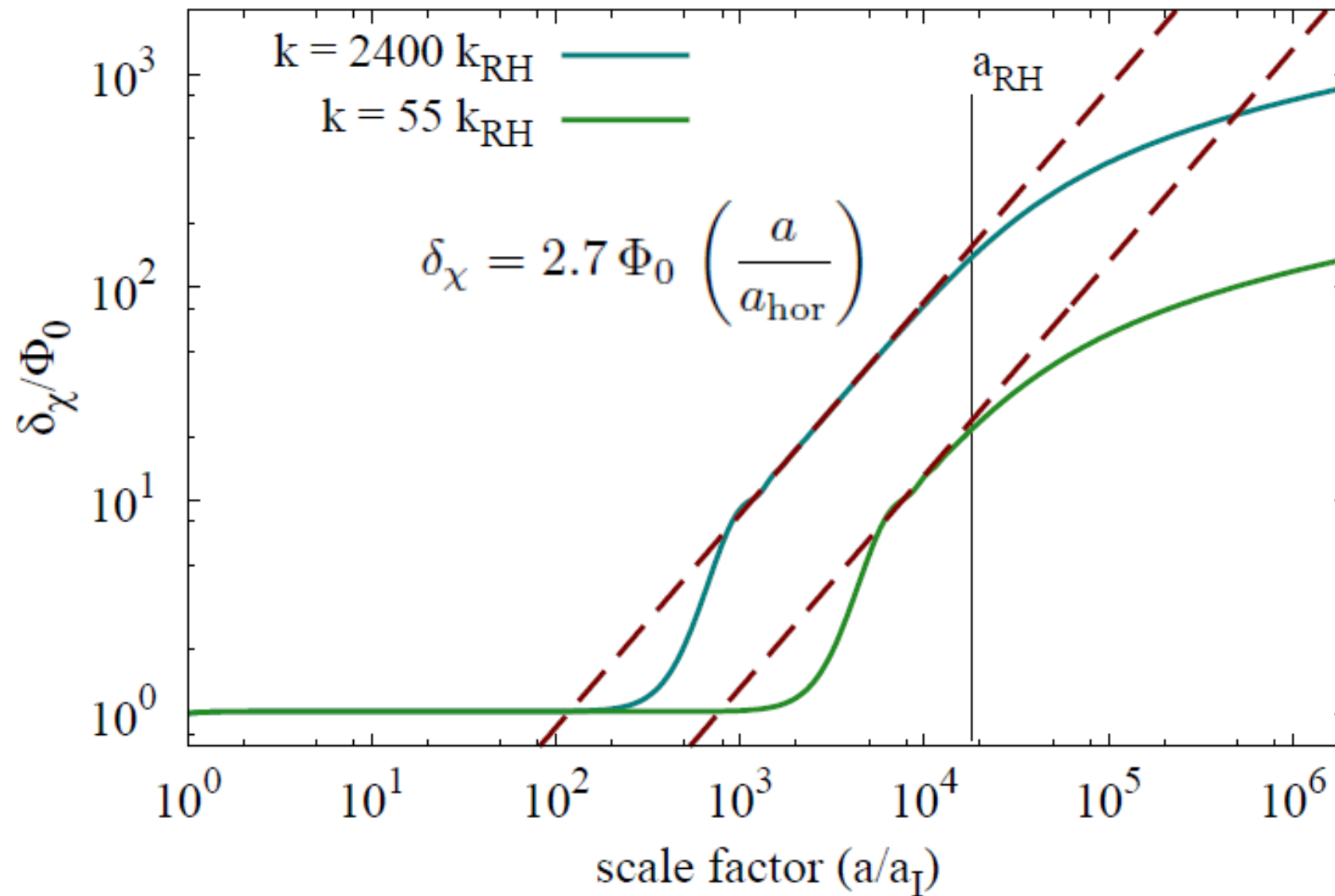


Dark matter  
density fluctuations  
grow linearly  
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like during matter  
domination!

But the growth  
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Kayla Redmond,  
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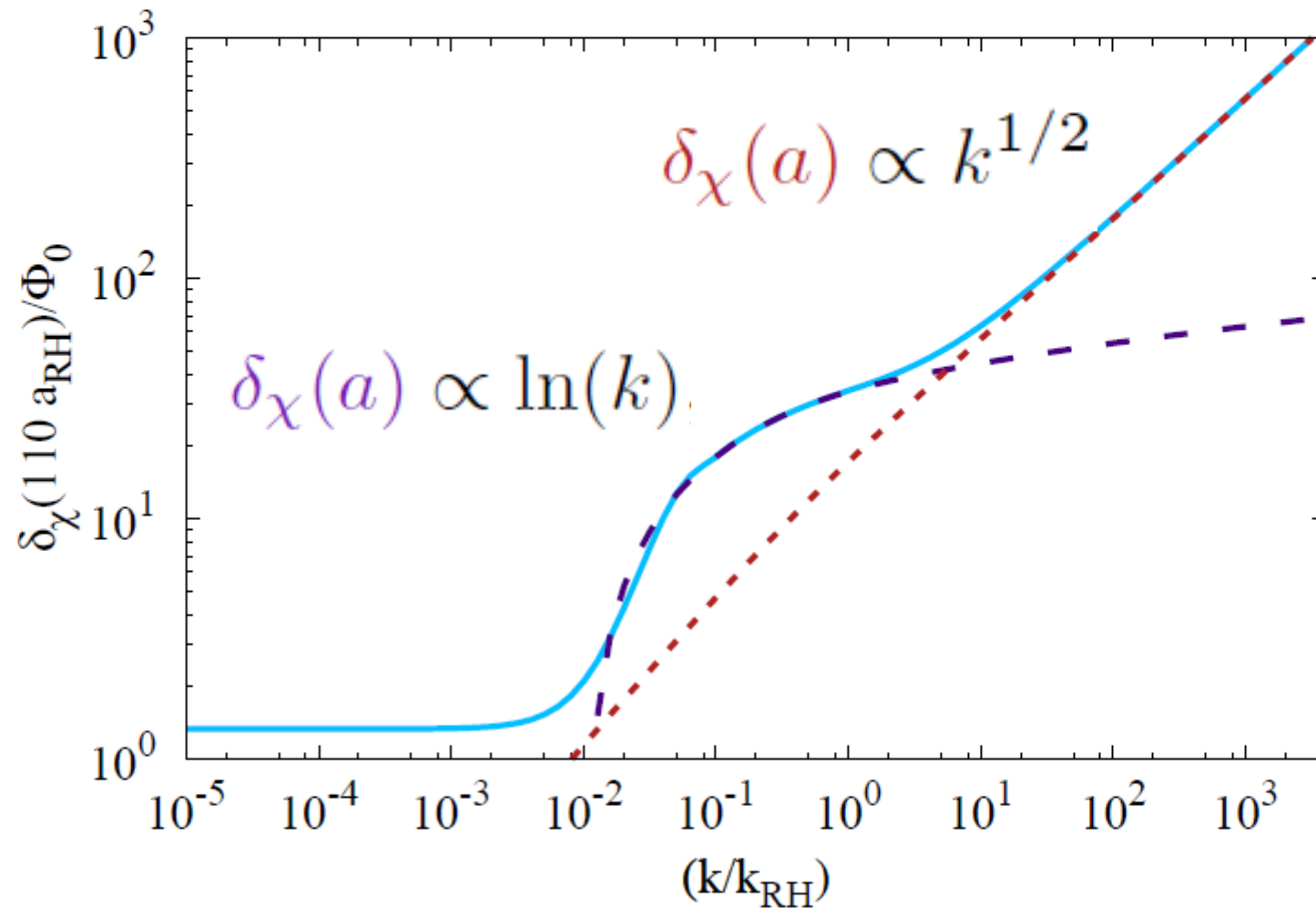


Dark matter  
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But the growth  
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Comoving drift:  $s = \int v \frac{dt}{a} \propto \int \frac{da}{a^3 H} \propto \begin{cases} a & \text{Kination} \\ \ln a & \text{Radiation Domination} \end{cases}$

# Impact on the Matter Power Spectrum

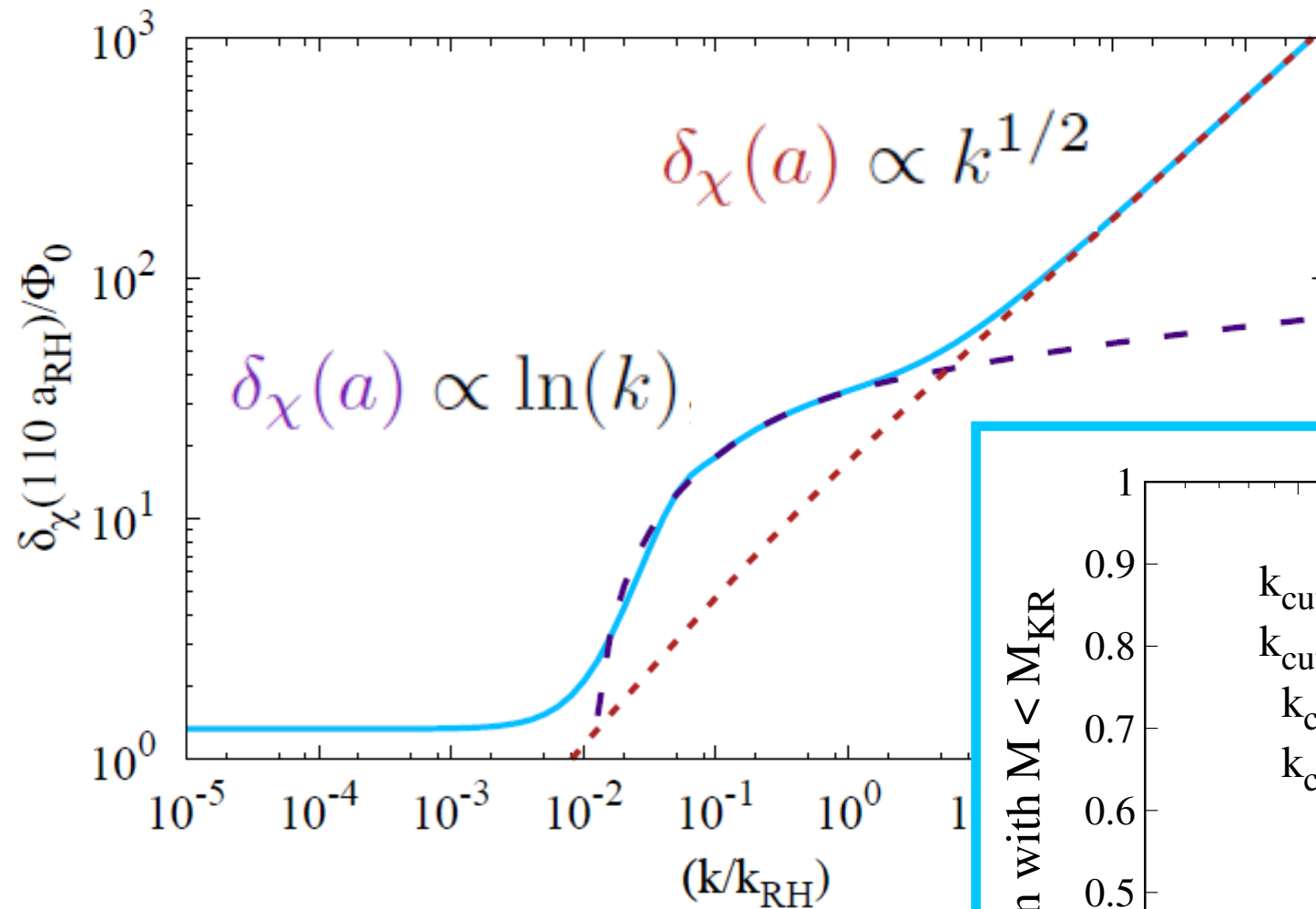


*M. Sten Delos,  
Kayla Redmond,  
ALE 2023*

Kination enhances small-scale density perturbations,



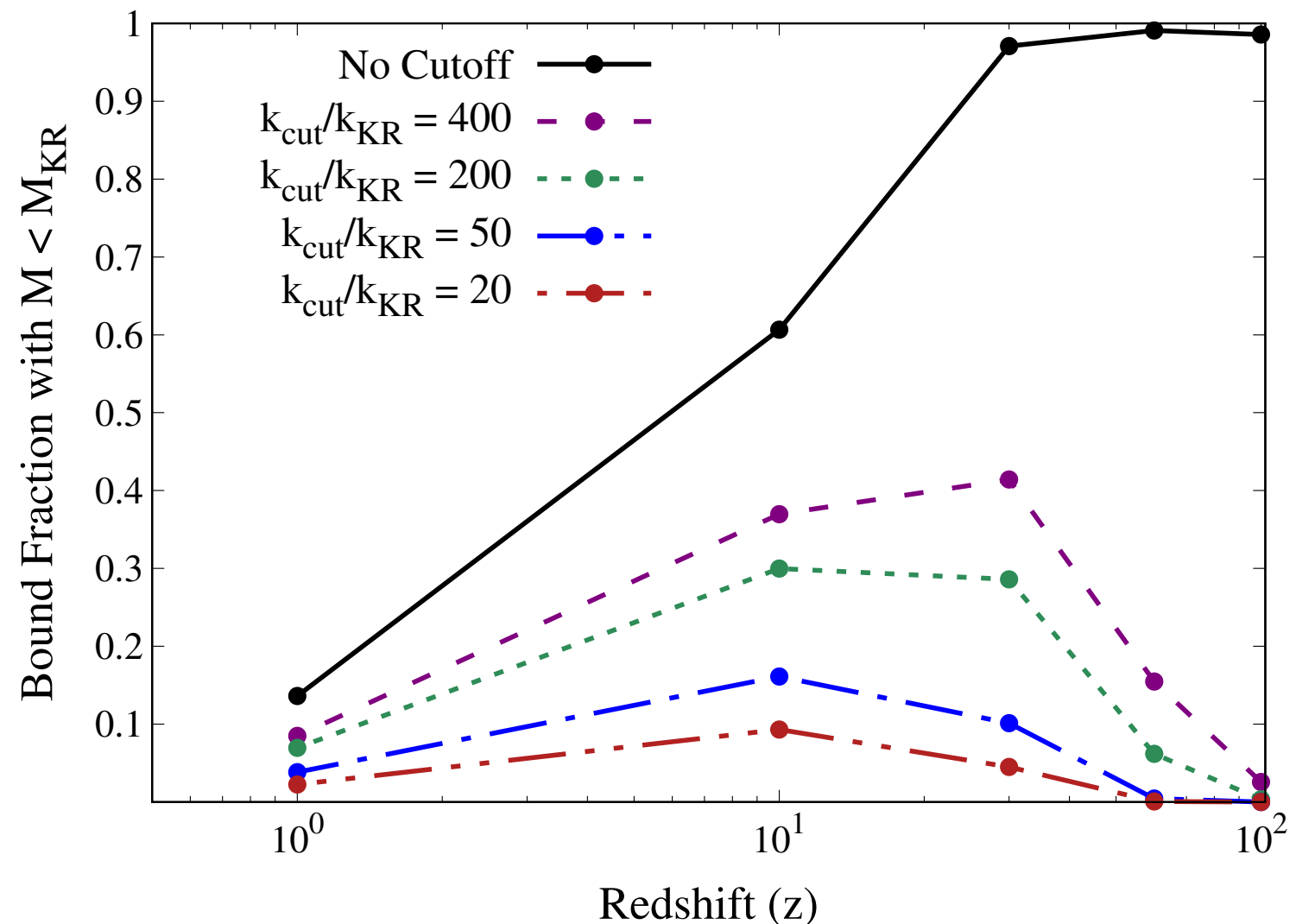
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M. Sten Delos,  
Kayla Redmond,  
ALE 2023

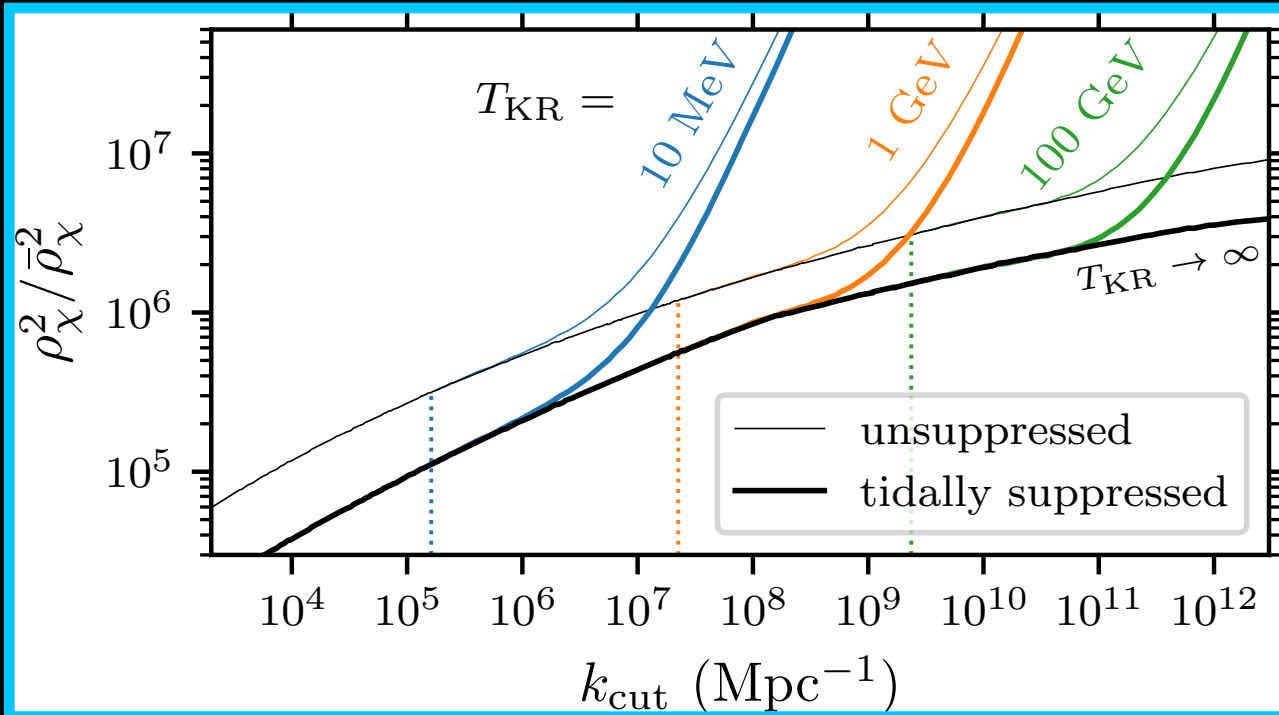
Kination enhances small-scale density perturbations,

which leads to increased small-scale inhomogeneity and **more microhalos.**



# Constraining Kination

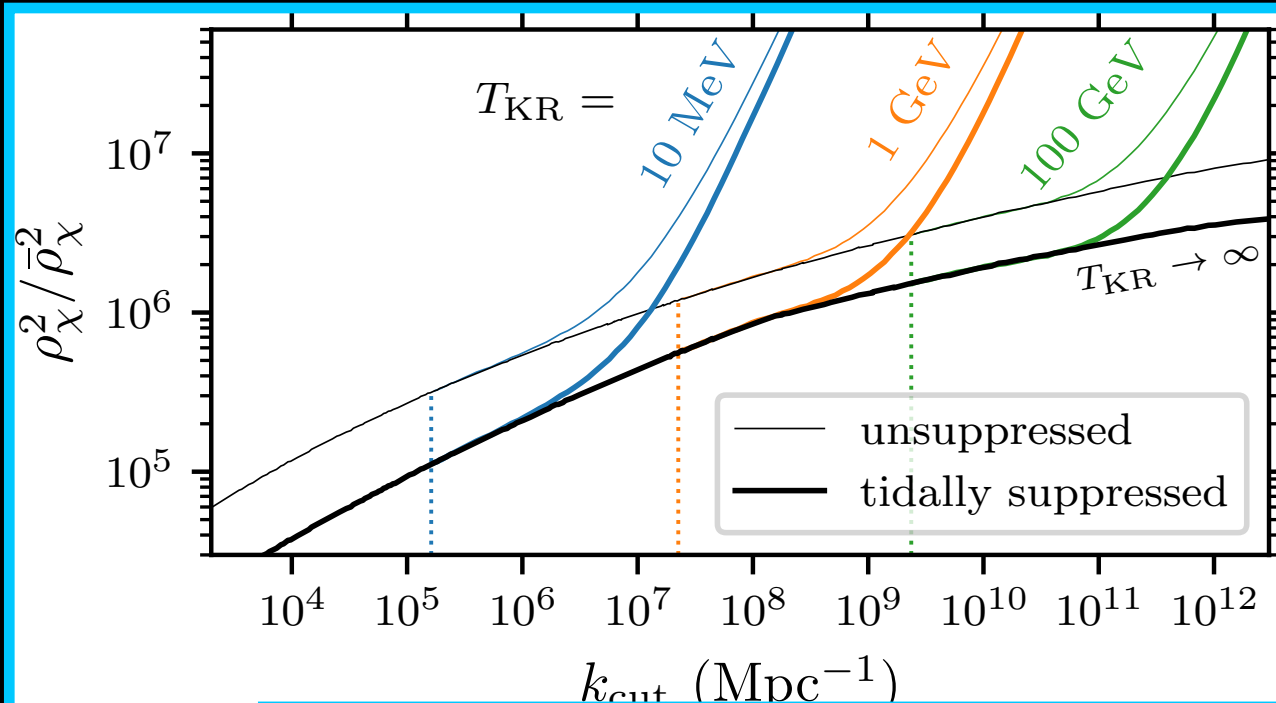
*M. Sten Delos, Kayla Redmond, ALE 2023*



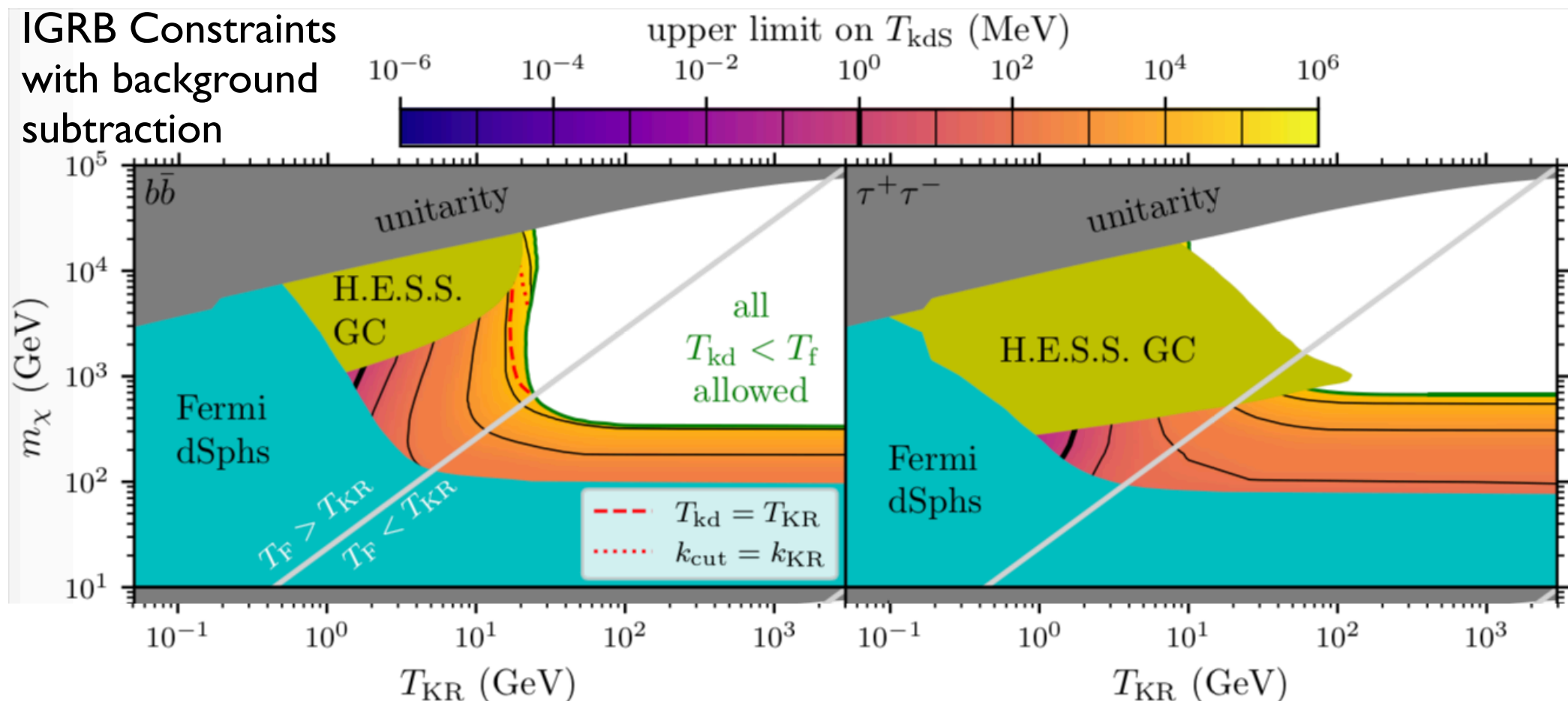
- P2H method gives boost due to kination.
- Significant boosts require  $k_{\text{cut}} \gtrsim 20k_{\text{KR}}$
- If DM decouples from SM, these scenarios have the largest annihilation cross sections.

# Constraining Kination

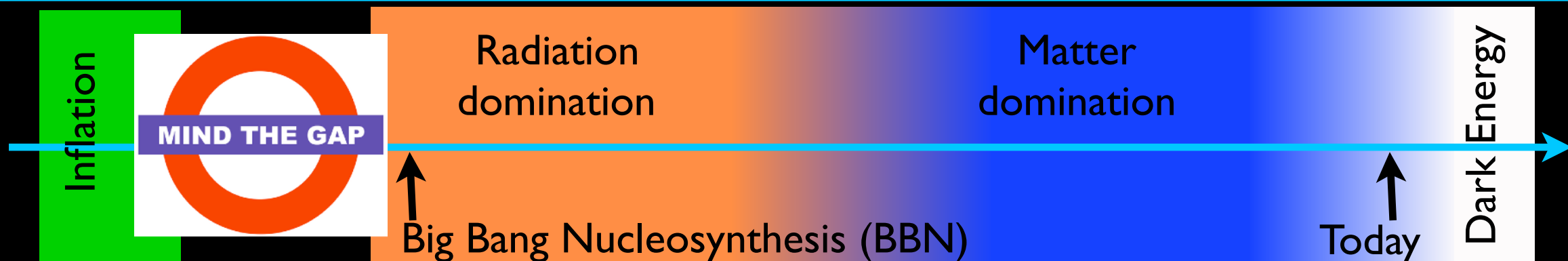
*M. Sten Delos, Kayla Redmond, ALE 2023*



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# Unlocking the Clues in Microhalos

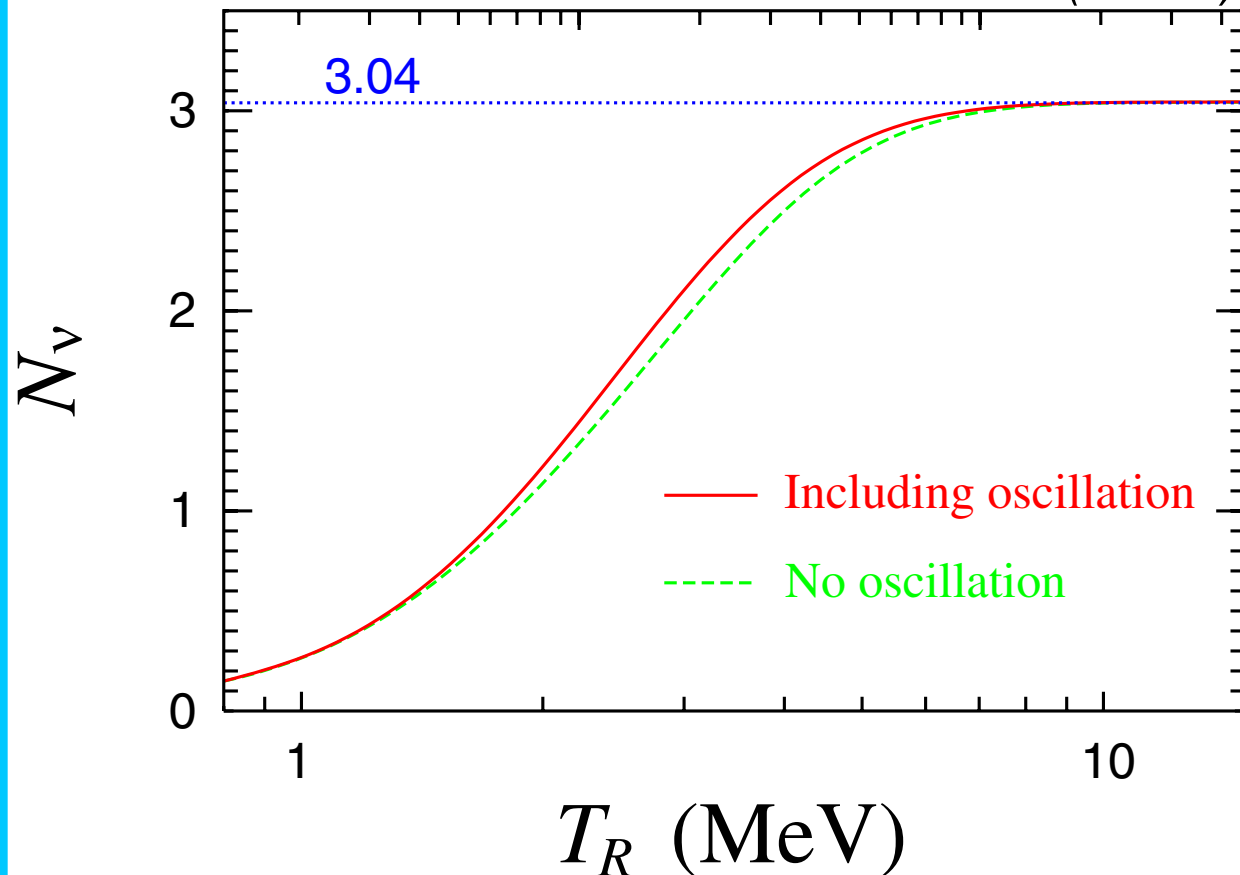


- There is a **gap in the cosmological record** between inflation and neutrino decoupling:  $10^{15} \text{ GeV} \gtrsim T \gtrsim 10^{-3} \text{ GeV}$
- **Dark matter is likely produced in this gap!**
- An early matter-dominated era (EMDE) and a period of kination both enhance the abundance of dark matter microhalos.
- We can use **CMB, 21 cm, and gamma-ray observations** to probe the evolution of the early Universe and narrow the field of thermal relics.
- **Signal depends strongly on cut-off scale**, which is another window into the dark sector.

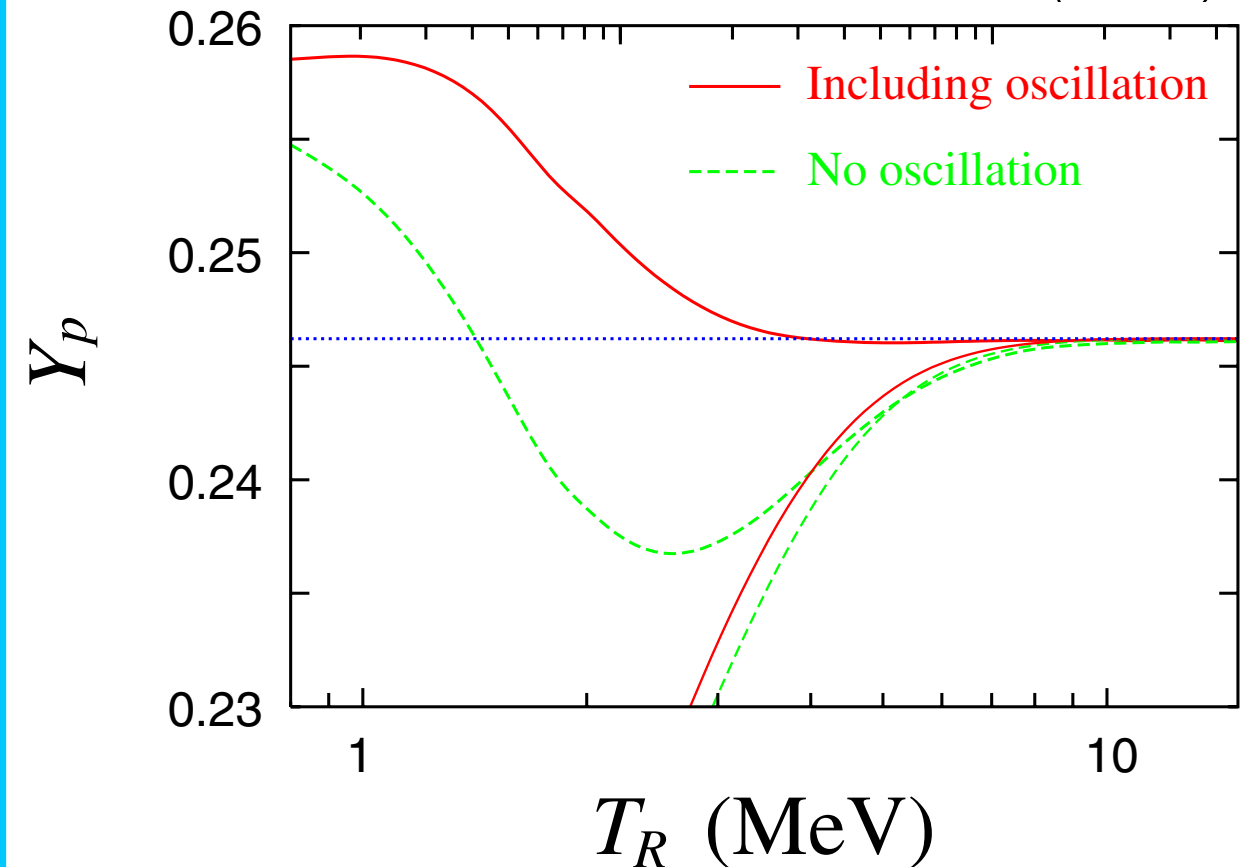
# Don't Mess with BBN

Reheat Temperature = Temperature at Radiation Domination

Ichikawa, Kawasaki, Takahashi  
PRD72, 043522 (2005)



Ichikawa, Kawasaki, Takahashi  
PRD72, 043522 (2005)



Lowering the reheat temperature results in fewer neutrinos.

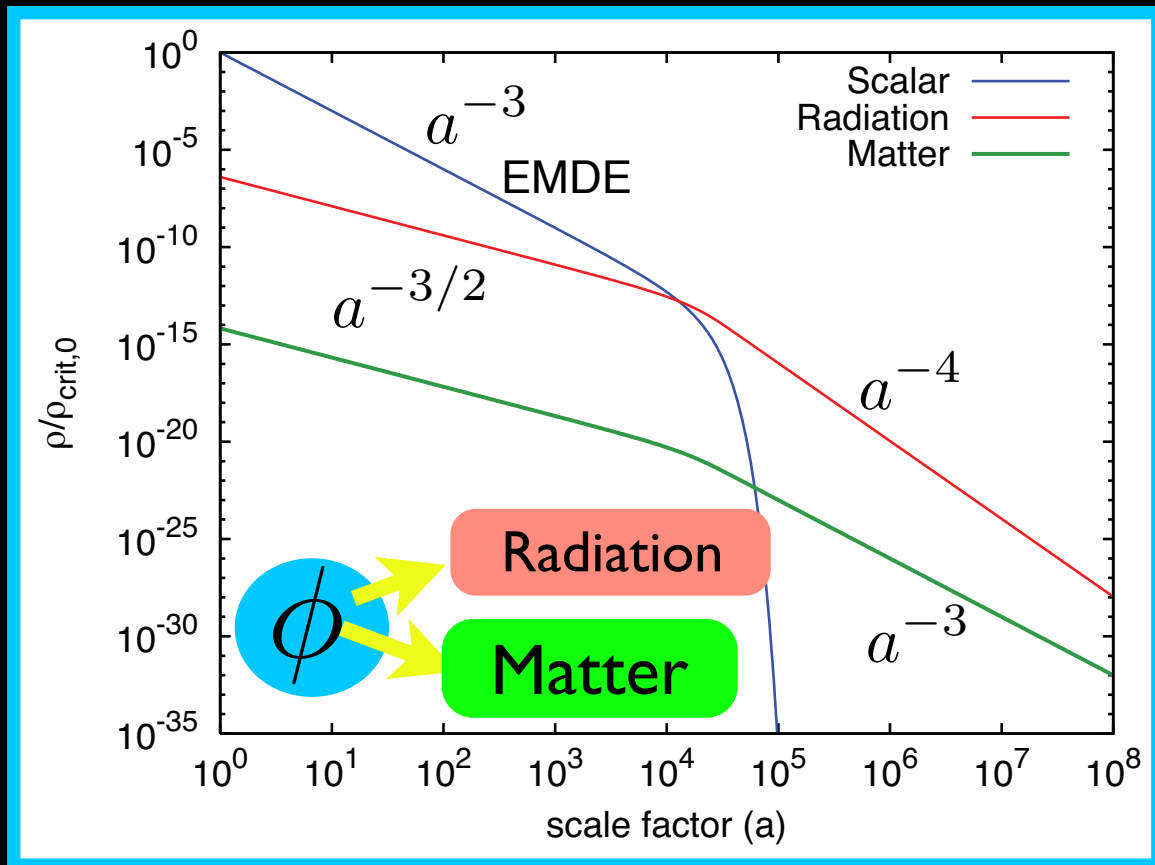
- slower expansion rate during BBN
- neutrino shortage gives earlier neutron freeze-out; more helium
- earlier matter-radiation equality affects CMB

$$T_{RH} \gtrsim 3 \text{ MeV}$$

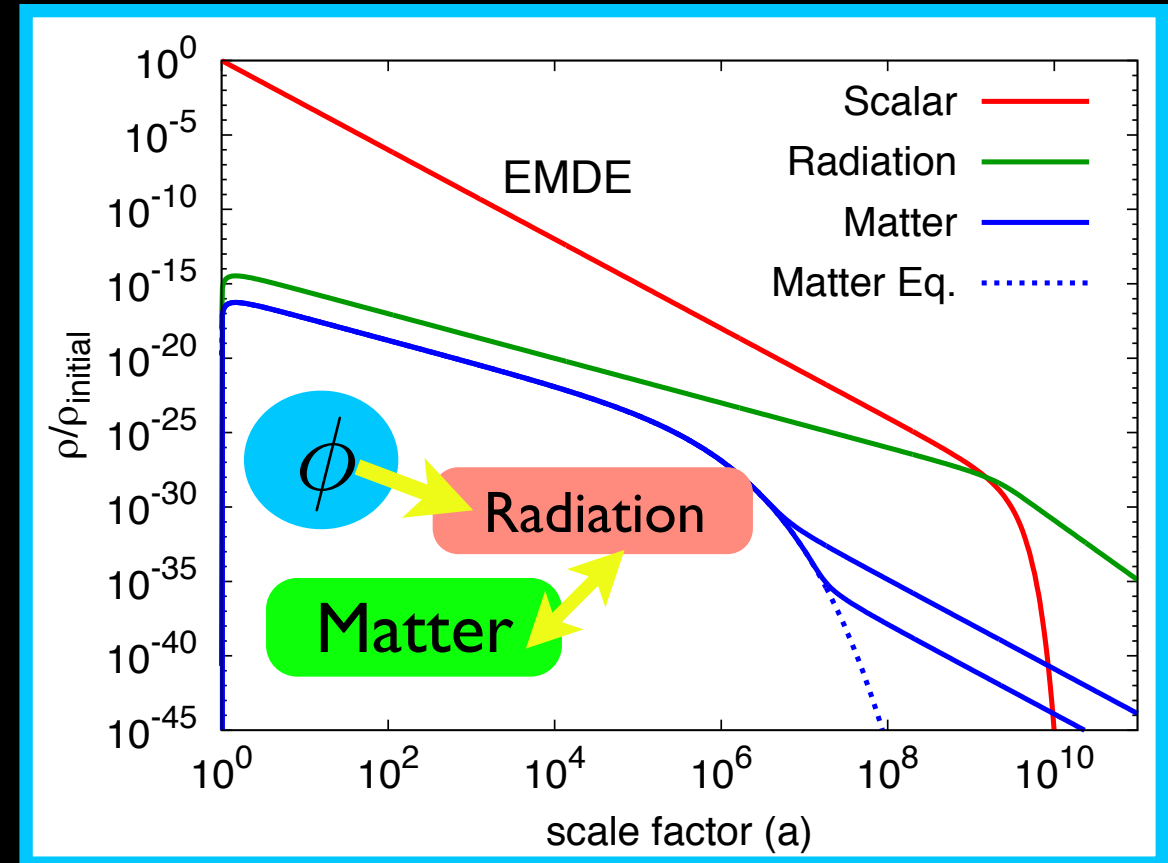
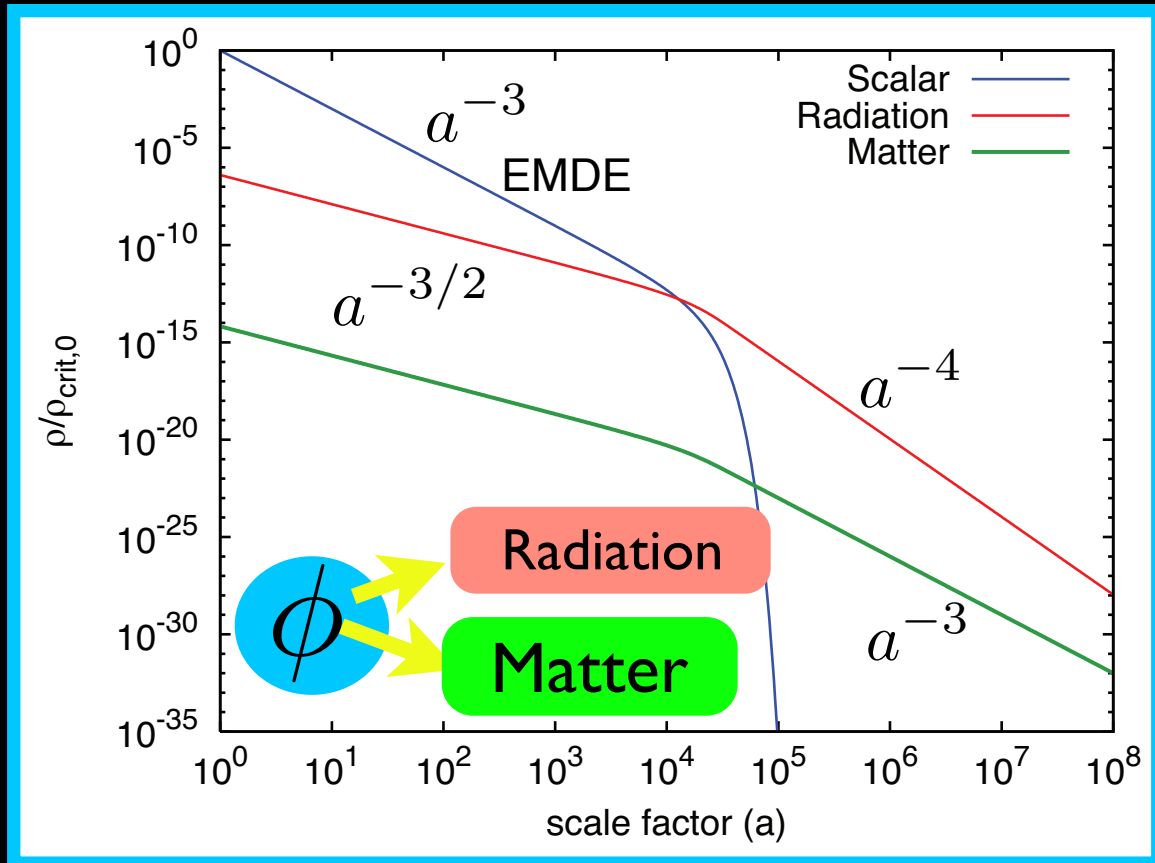
Ichikawa, Kawasaki, Takahashi 2005; 2007  
de Bernardis, Pagano, Melchiorri 2008



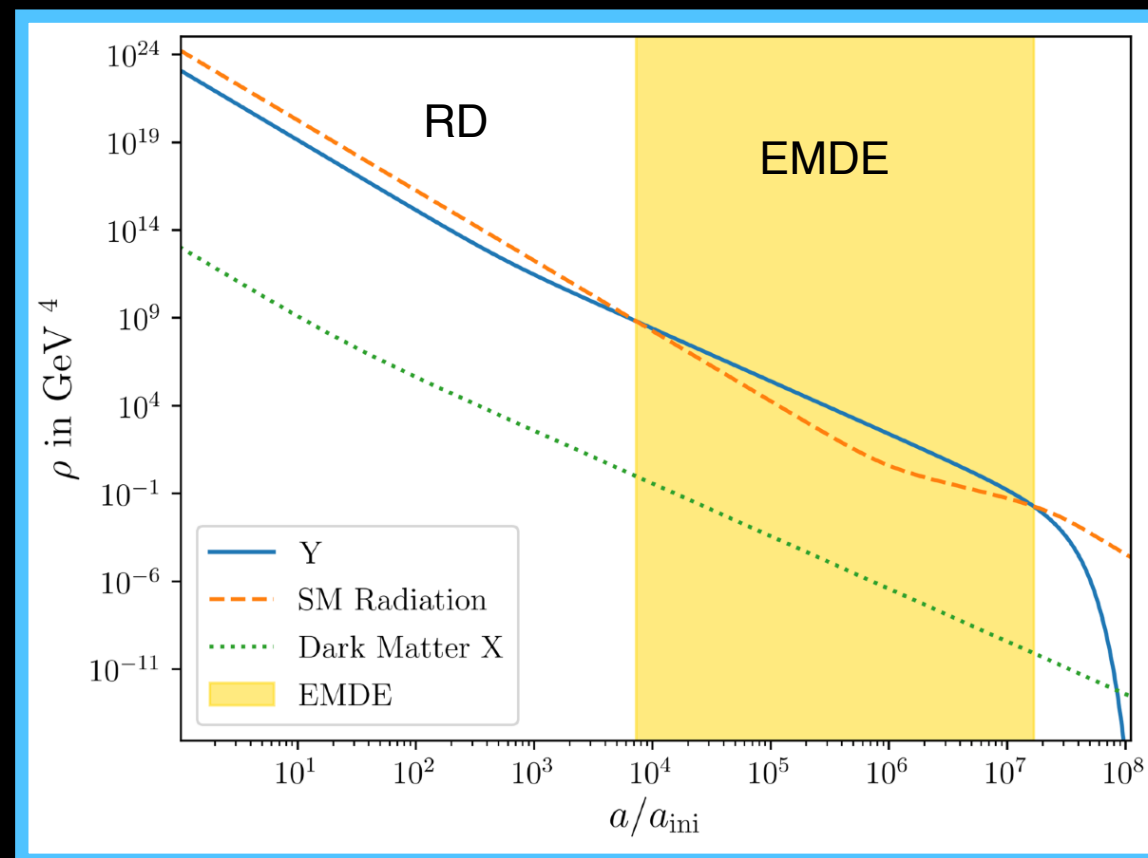
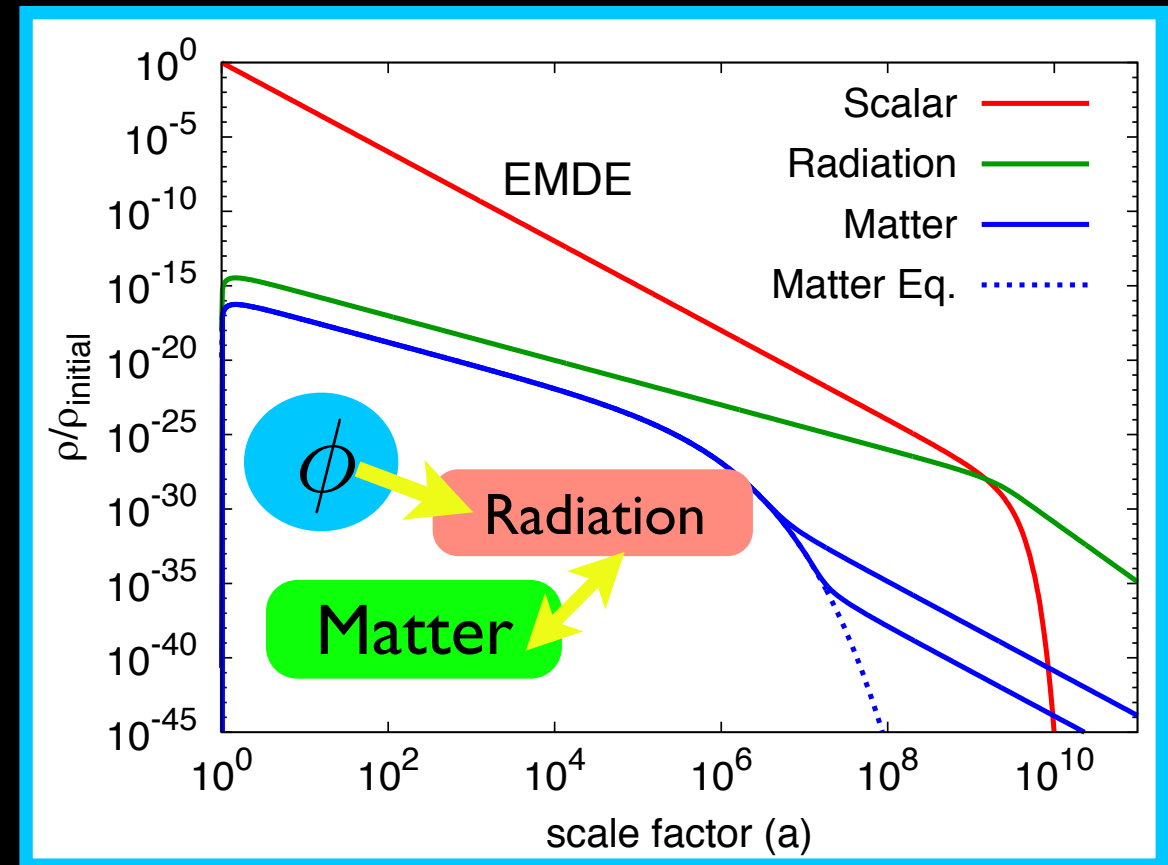
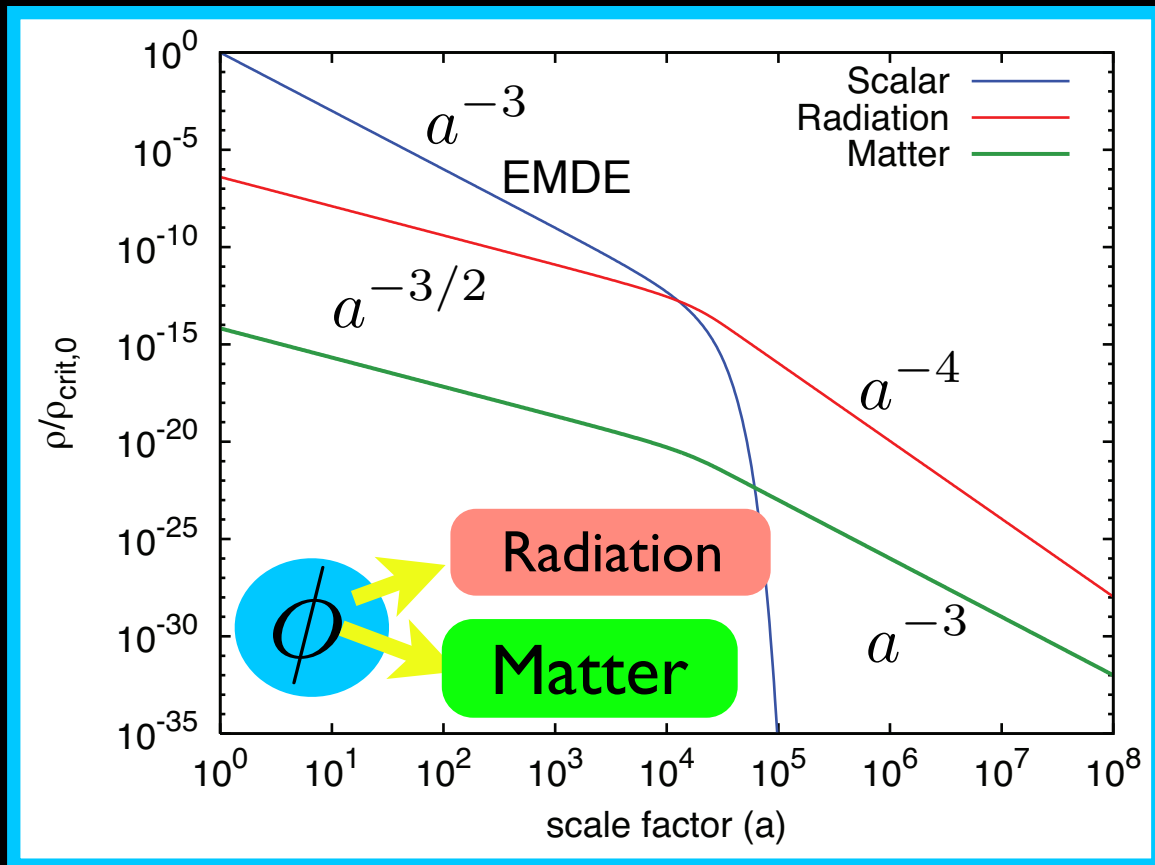
# Alternate Thermal Histories



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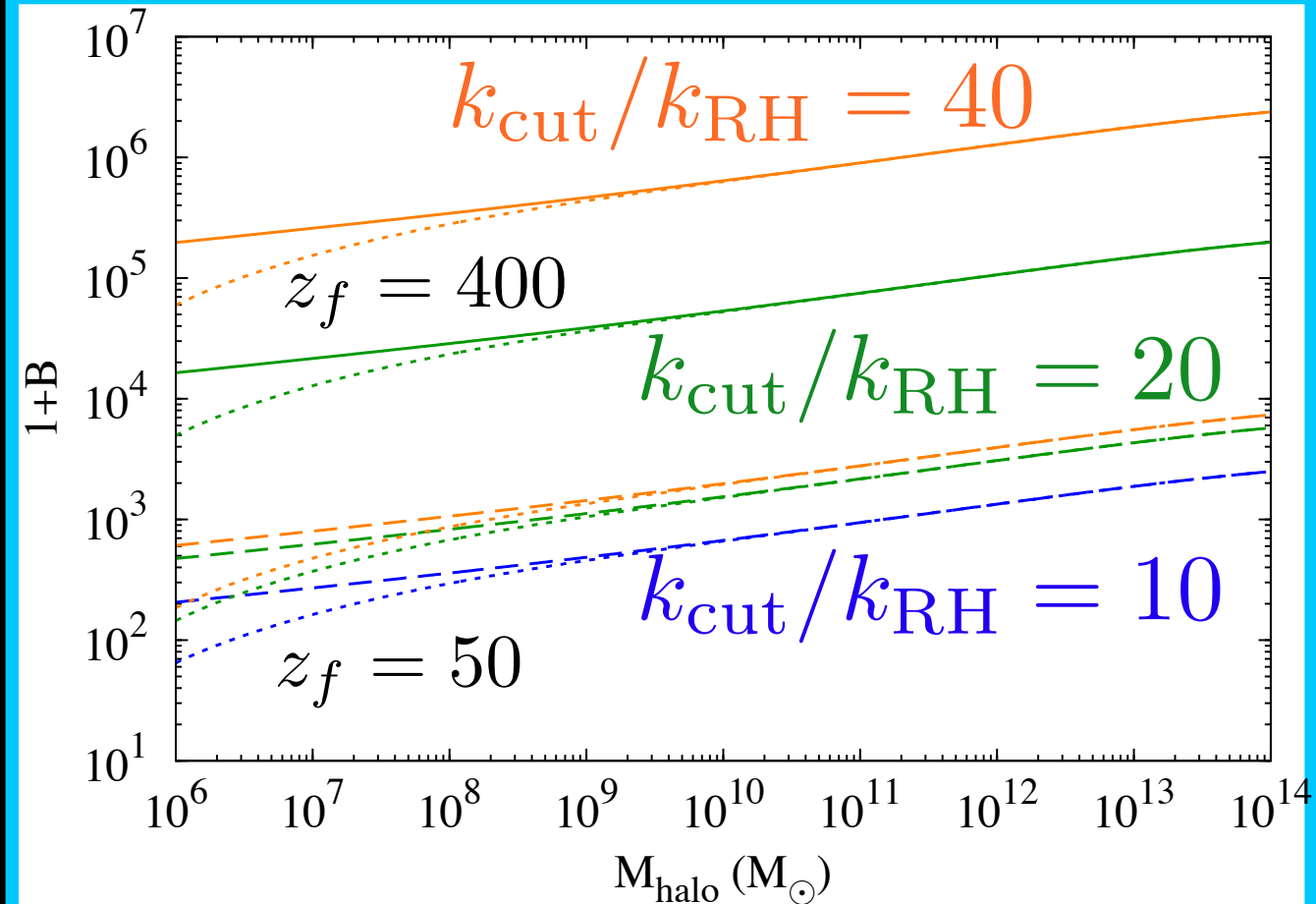
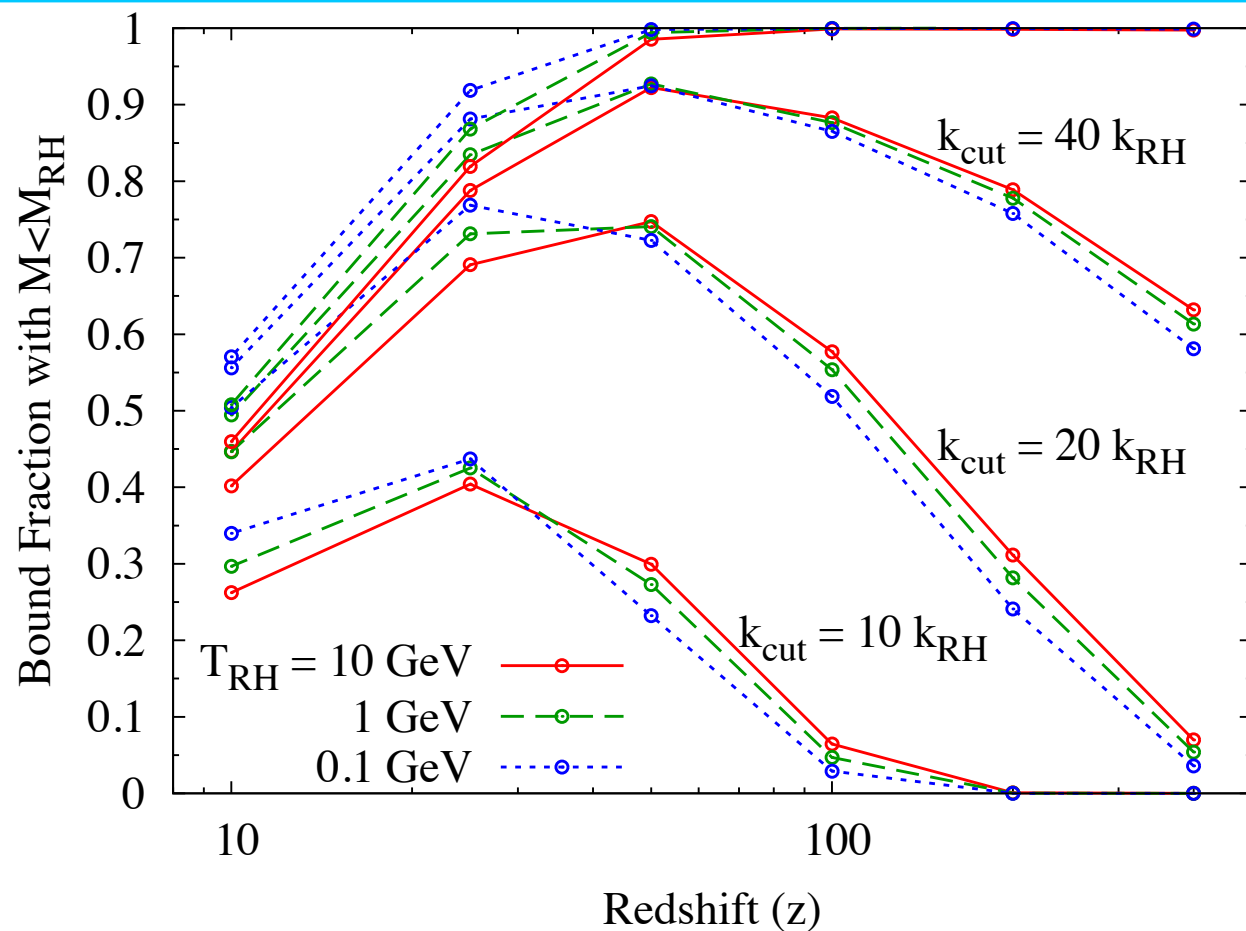


# Estimating the Boost Factor

Dark matter annihilation rate:  $\Gamma = \frac{\langle \sigma v \rangle}{2m_\chi^2} \int \rho^2(r) d^3r \equiv \frac{\langle \sigma v \rangle}{2m_\chi^2} J$

Boost Factor assuming that microhalos forming at  $z_f$  survive:

$$1 + B(M) \equiv \frac{J}{\int \bar{\rho}_\chi^2(r) 4\pi r^2 dr} \propto \frac{\rho(z_f)}{\rho_0 c_h^3} f_{\text{tot}}(M < M_{\text{RH}}, z_f)$$



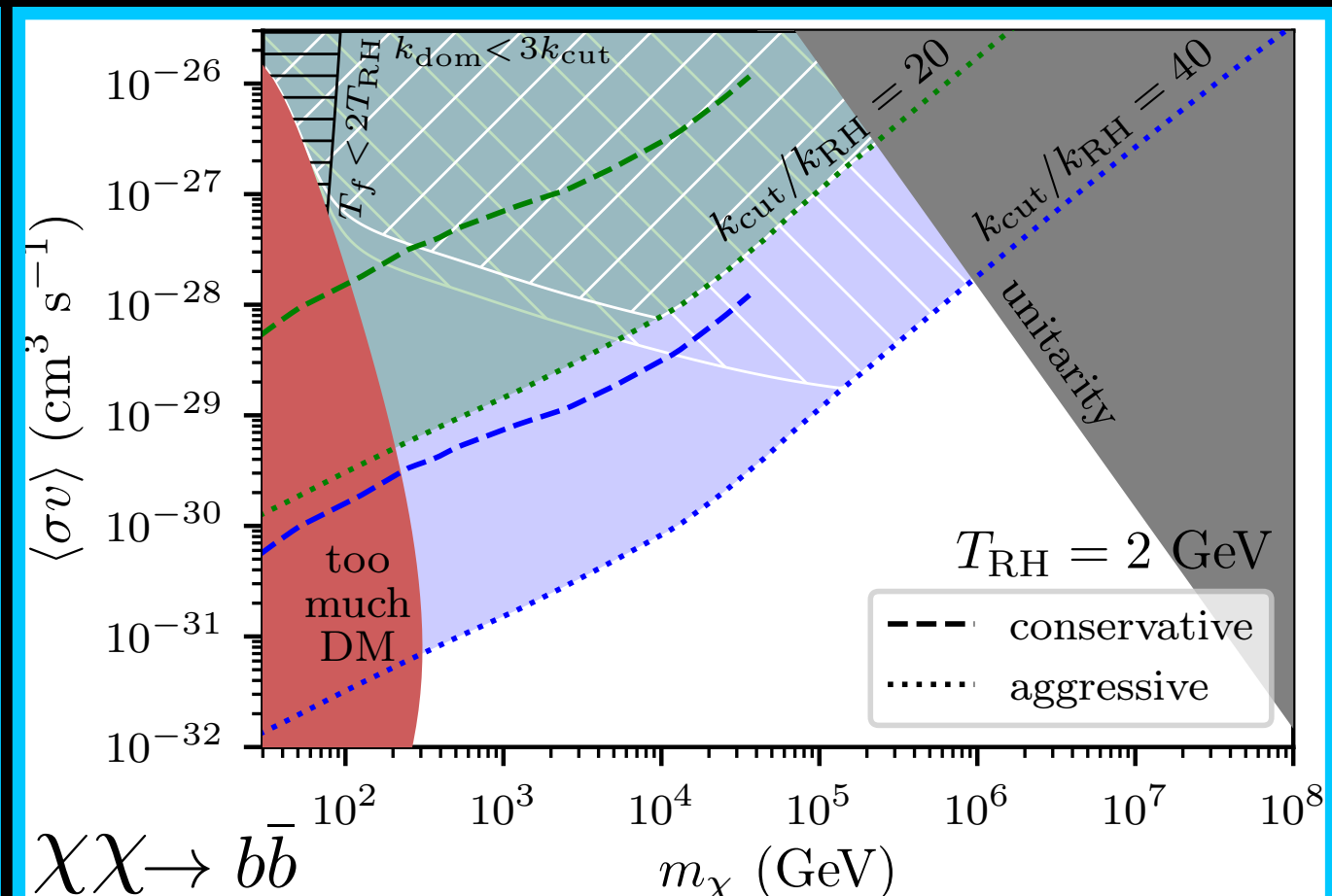
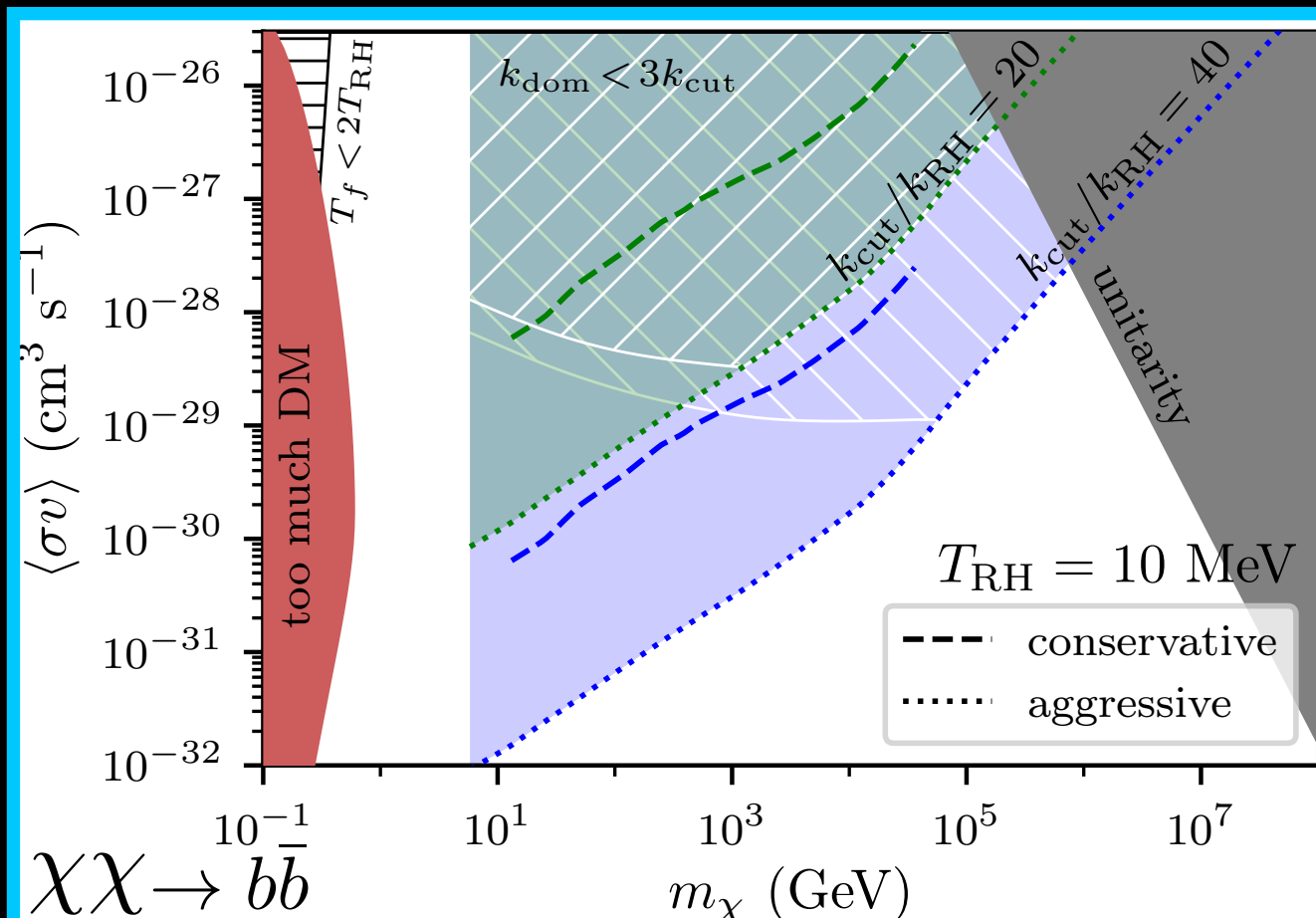
# Observational Constraints

Sten Delos, Tim Linden, ALE 2019



The isotropic gamma-ray background significantly restricts the field of viable thermal relics.

- Constraints use microhalo population predicted by Delos, Bruff, ALE 2019
- Constraints depend on  $k_{\text{cut}}/k_{\text{RH}}$ : larger means more dense microhalos
- Constraints are tentative for short EMDEs ( $k_{\text{dom}} < 3k_{\text{cut}}$ )





# DM Annihilation within Microhalos

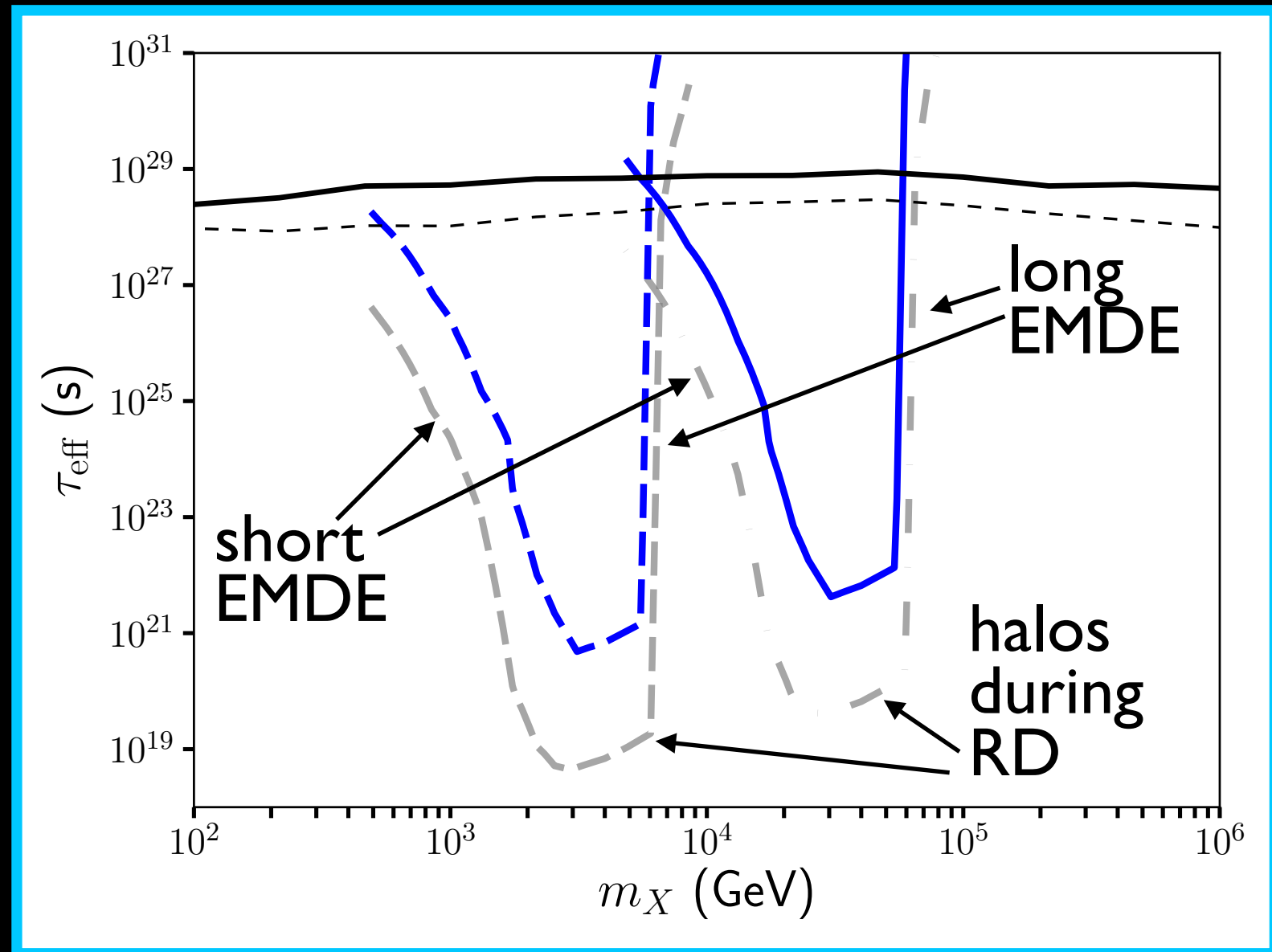
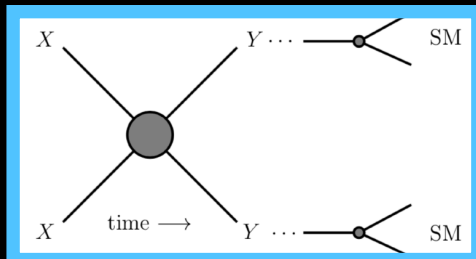
Dark matter annihilation within early-forming microhalos dominates all other emission, **mimicking the signal of decaying dark matter**.

- Annihilation rate per DM mass is set by the density within the first halos and is constant in time and space.

- Can translate into an effective decay rate:

$$\tau_{\text{eff}} = \frac{1}{2m_\chi(\Gamma/M_\chi)}$$

- For hidden sector dark matter, the isotropic gamma-ray background provides powerful constraints.



*Blanco, Delos, ALE, Hooper 2019*

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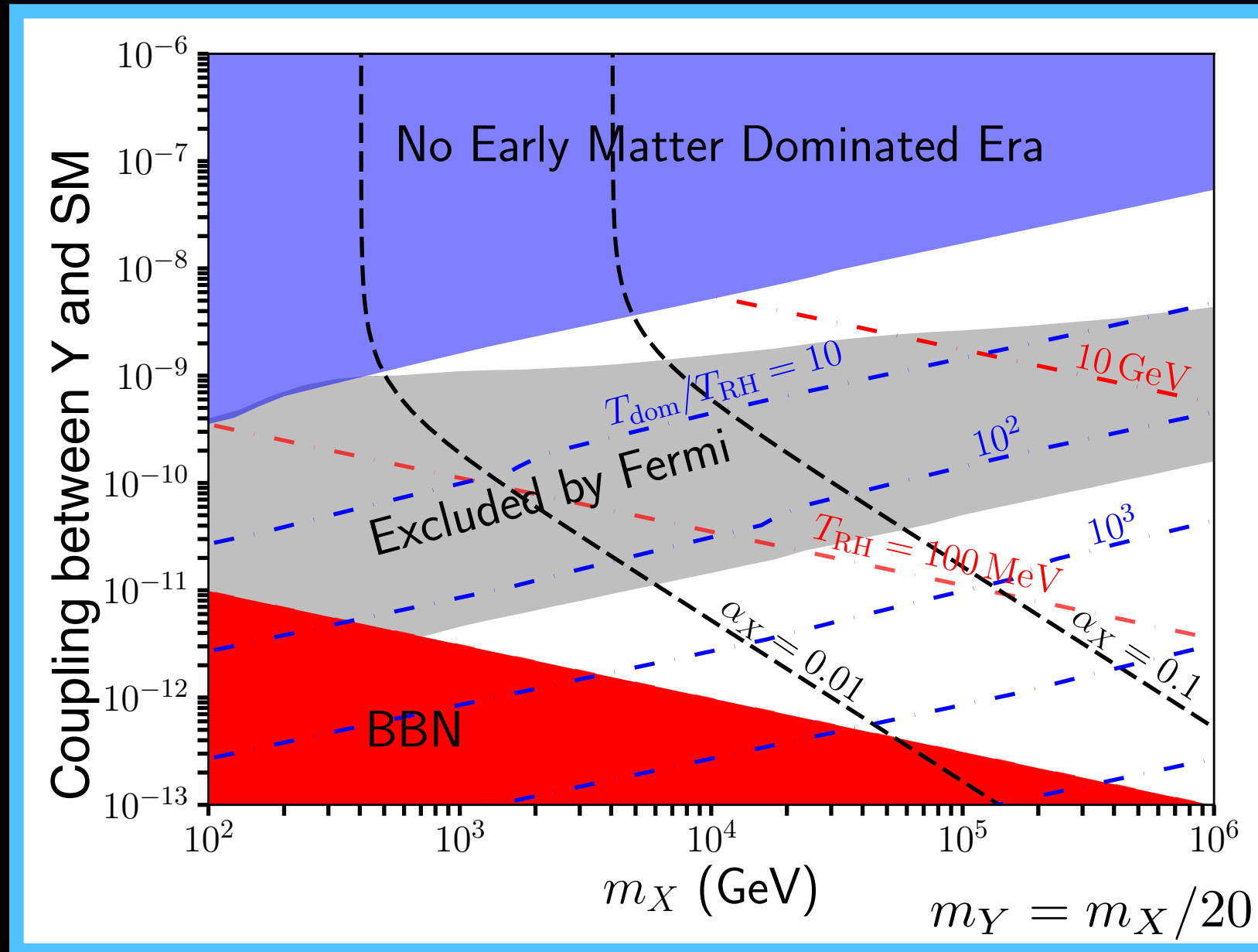
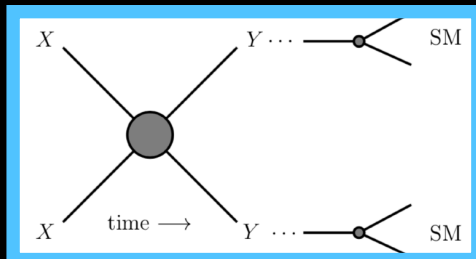
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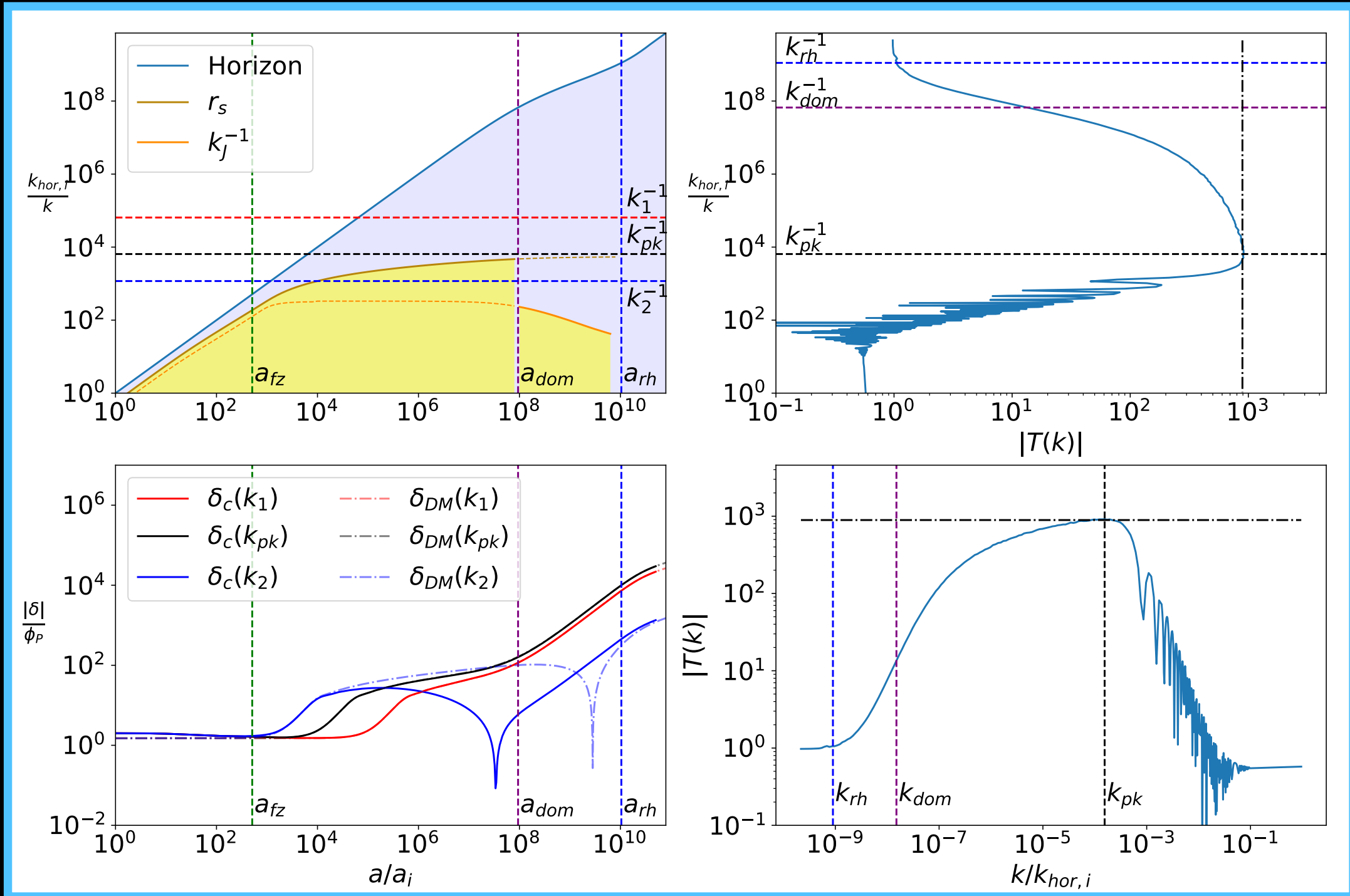


*Blanco, Delos, ALE, Hooper 2019*

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ALE, **Pranjal Ralegankar**,  
Jessie Shelton 2022

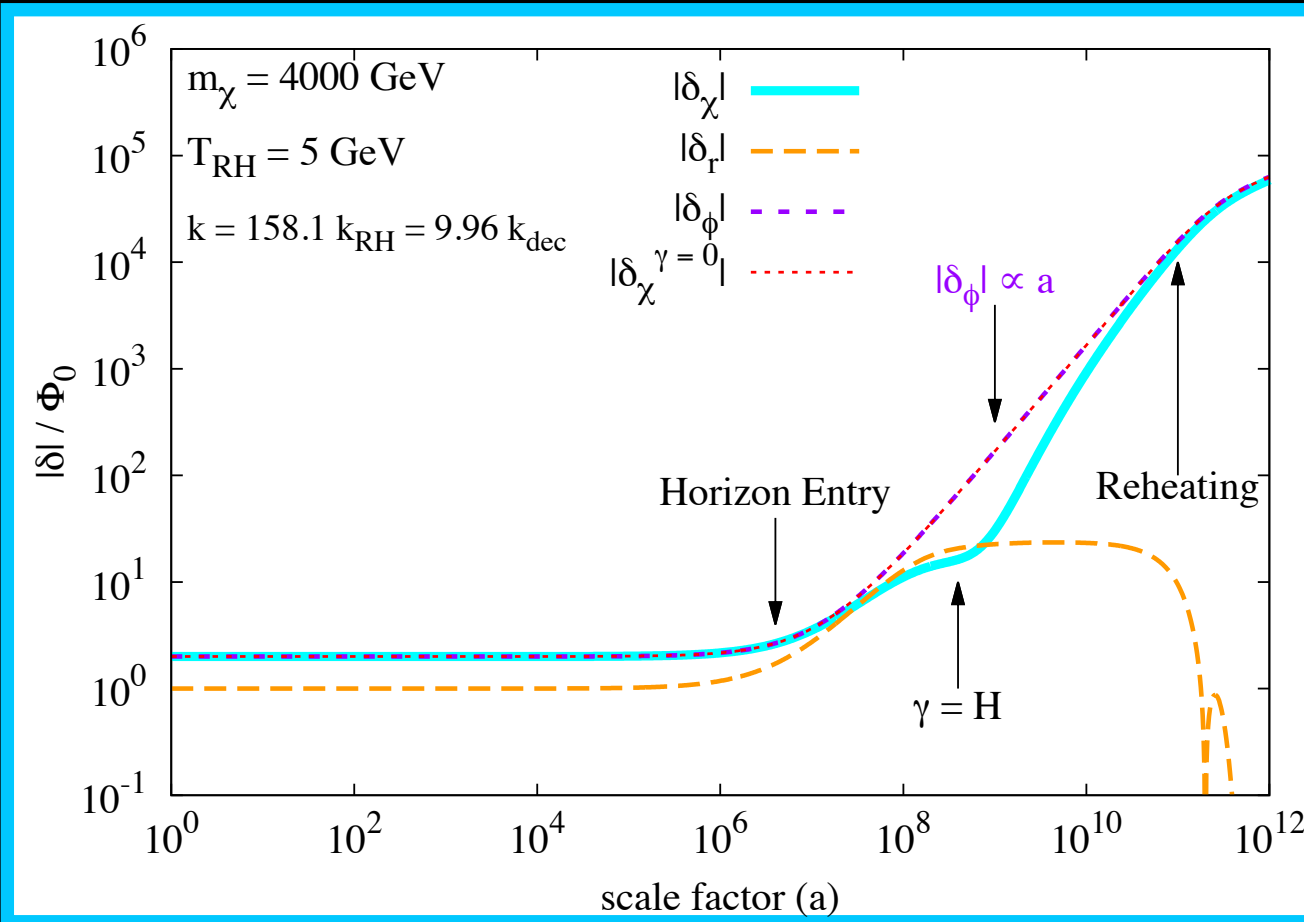
If cannibal interactions freeze-out before the cannibal field becomes dominant, cannibalism still sets the minimum halo mass!



# Kinetic Decoupling during an EMDE

*Isaac Waldstein, ALE, Charlie Mace, Cosmin Ilie, coming soon*

First potential source of a small-scale cut-off:  
interactions between dark matter and relativistic particles

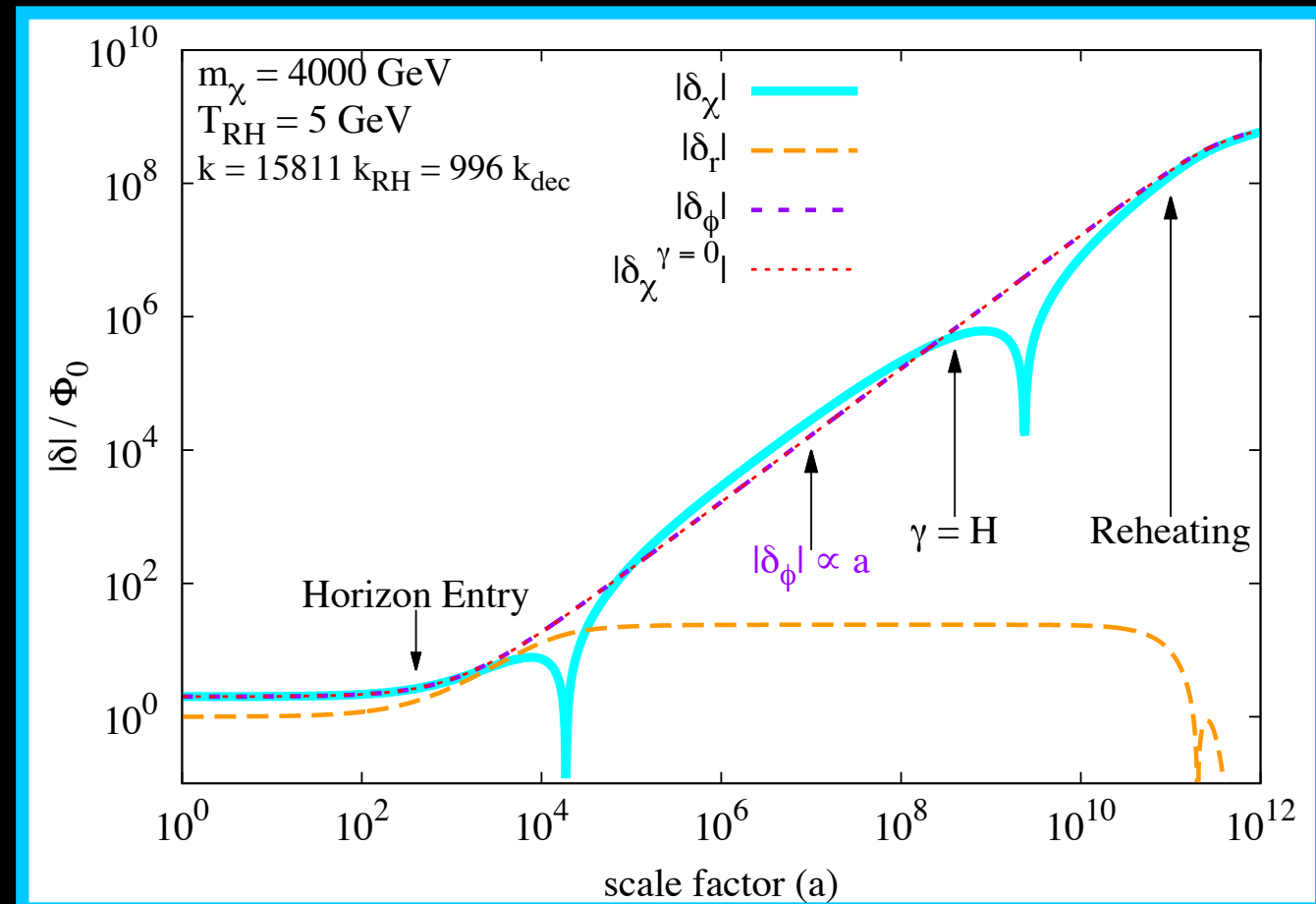
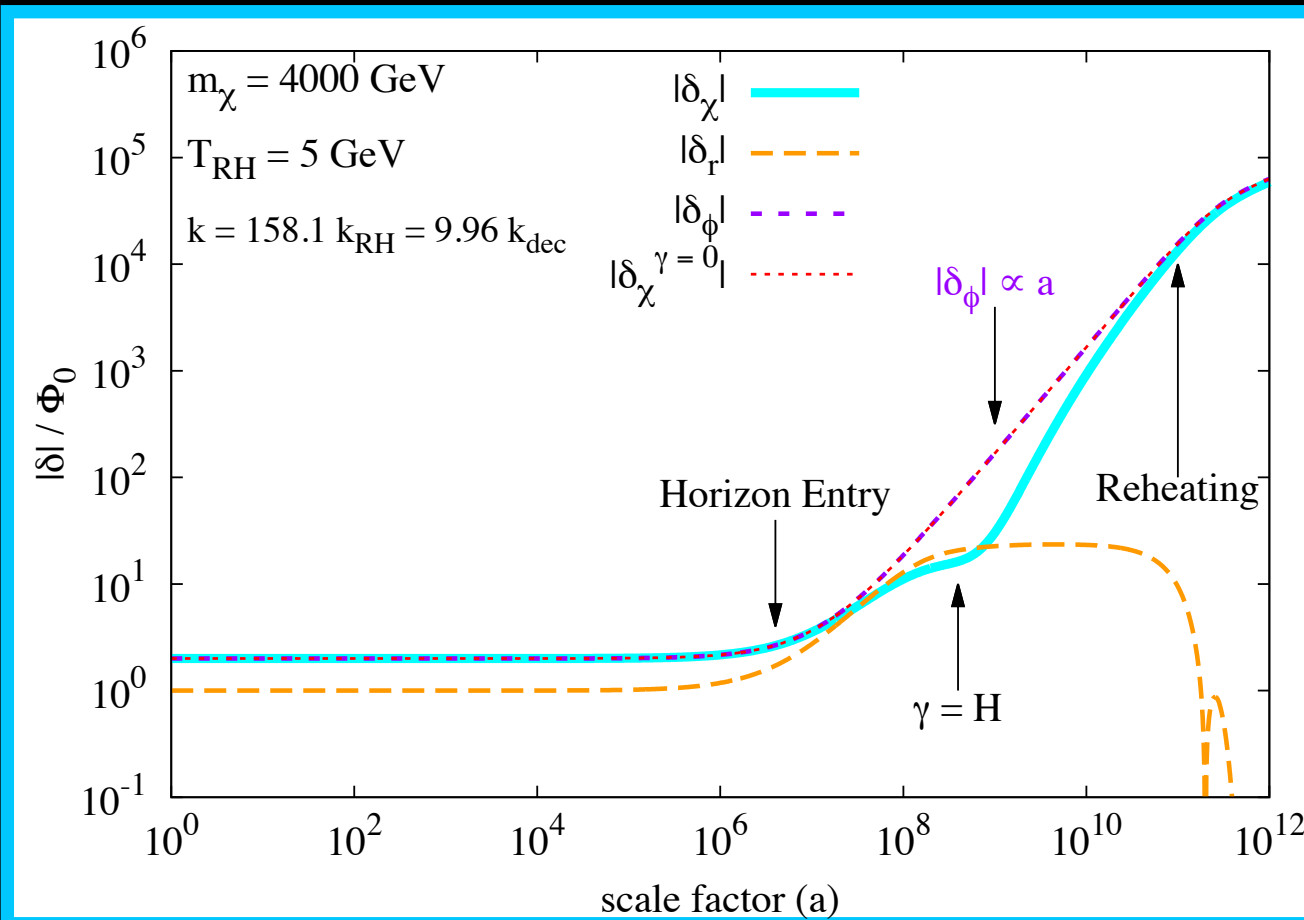


Interactions do not significantly suppress the perturbations,  
even if the dark matter remains coupled to the relativistic particles  
well into the EMDE...

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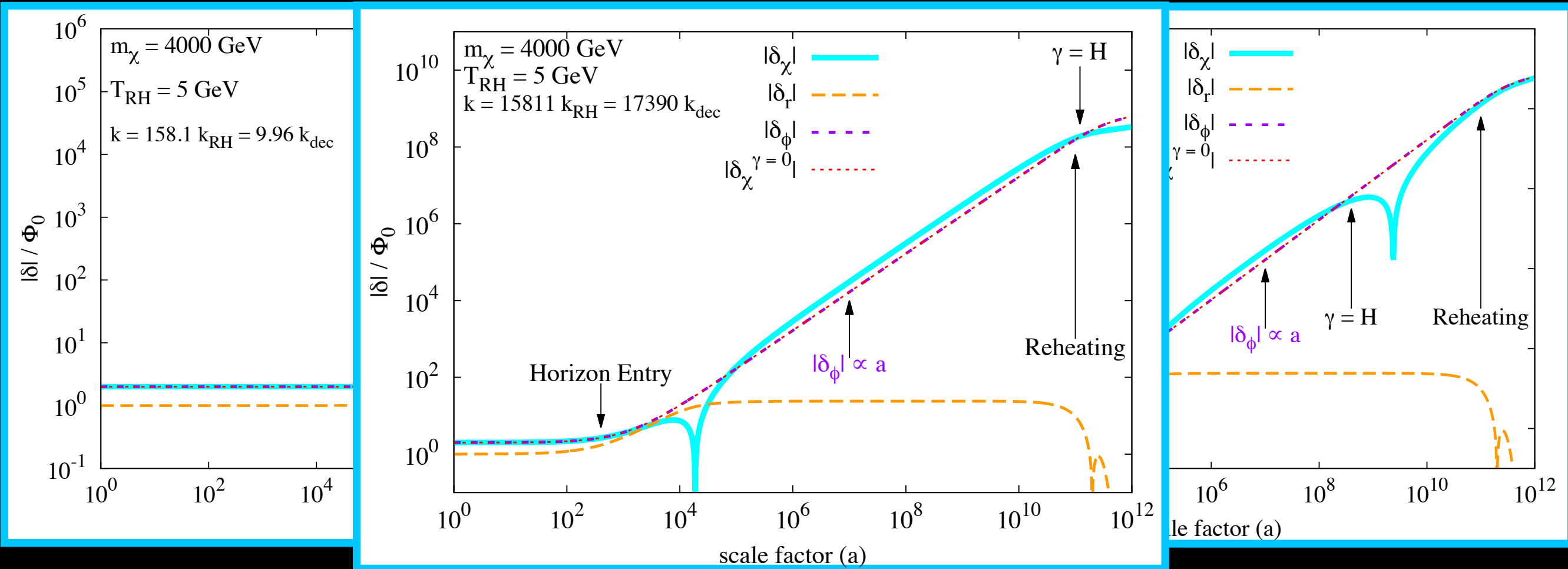


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First potential source of a small-scale cut-off:  
interactions between dark matter and relativistic particles



Interactions do not significantly suppress the perturbations,  
even if the dark matter remains coupled to the relativistic particles  
well into the EMDE... and even through reheating!

*see also Choi, Gong, Shin 2015*



# The DM temperature

The evolution of the DM temperature is governed by

$$T_\chi \equiv \frac{2}{3} \left\langle \frac{|\vec{p}|^2}{2m_\chi} \right\rangle \quad a \frac{dT_\chi}{da} + 2T_\chi = -2 \frac{\gamma}{H} (T_\chi - T) \quad \begin{array}{l} \text{momentum transfer rate} \\ \gamma \propto T^6 \\ \text{expansion rate} \end{array}$$

- fully coupled:

$$\gamma \gg H \Rightarrow T_\chi \simeq T$$

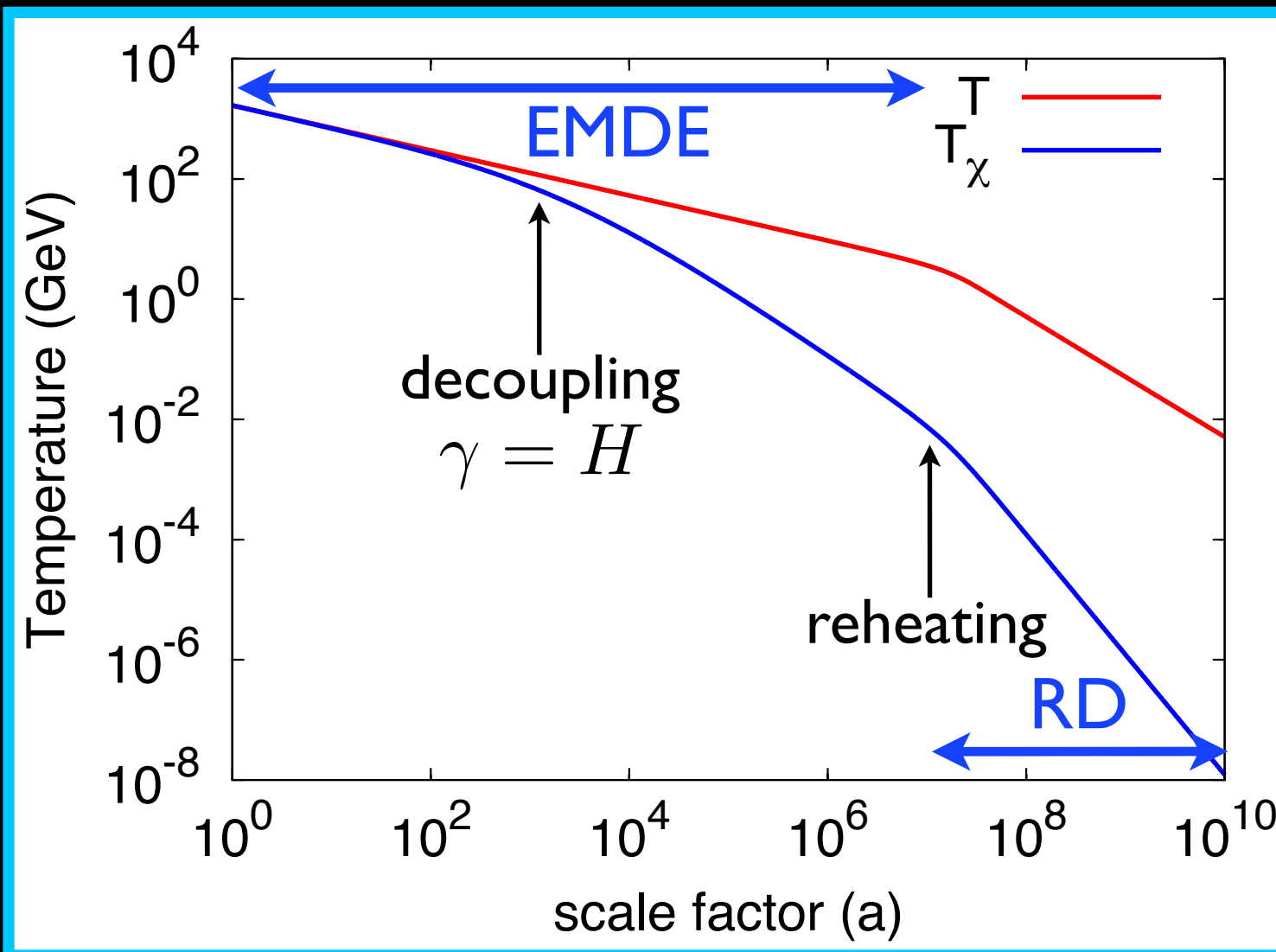
- fully decoupled:

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- But during an EMDE

$$\frac{\gamma}{H} T \propto \frac{T^6}{T^4} T \propto T^3 \propto a^{-9/8}$$

- quasi-decoupled:  $T_\chi \propto a^{-9/8}$

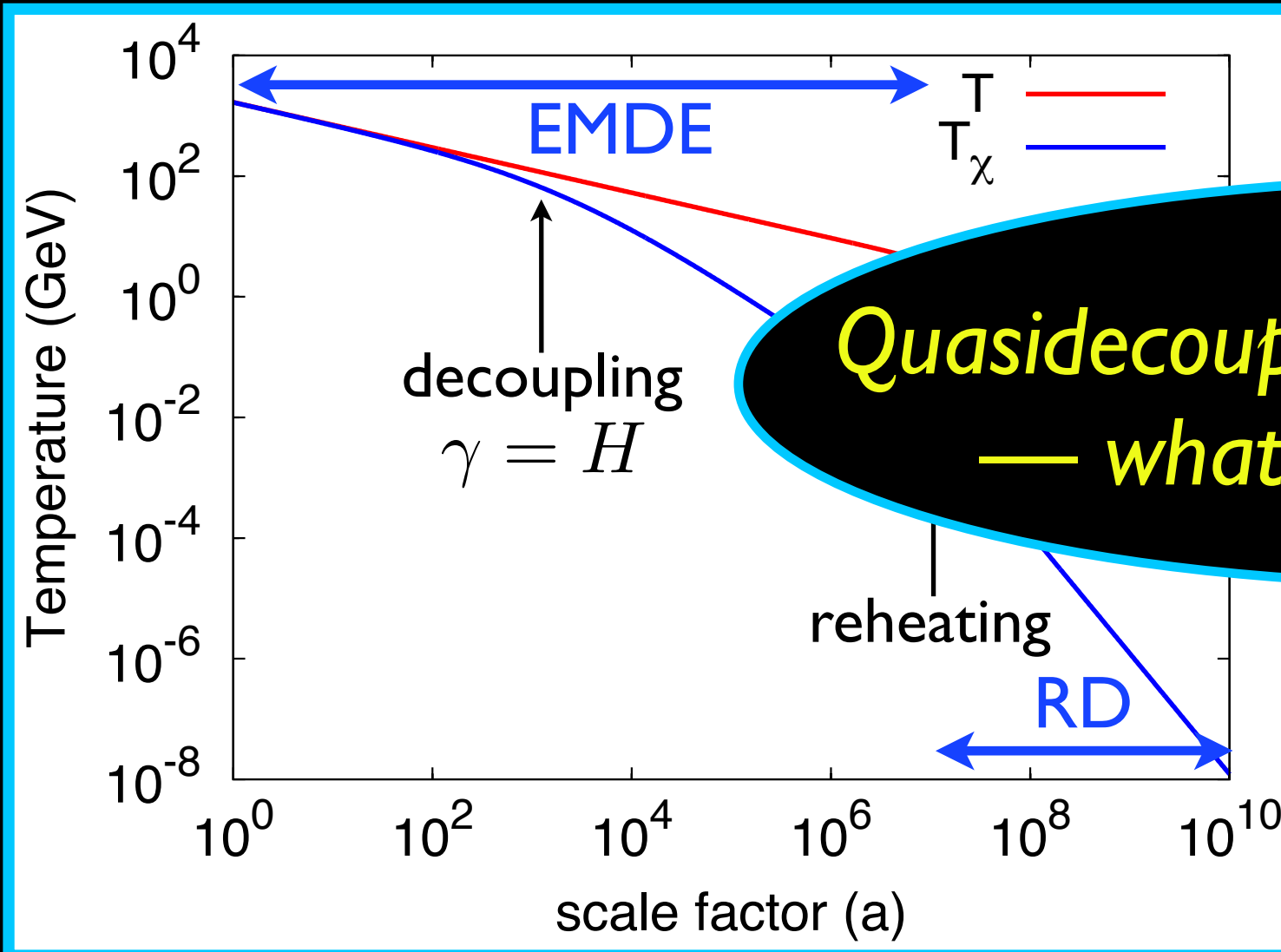
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$\gamma \propto T^6$   
 momentum transfer rate  
 expansion rate



*Quasidecoupling can't last forever  
— what's really going on?*

● fully coupled:

$$T_\chi \sim T$$

● But during an EMDE

$$\frac{\gamma}{H} T \propto \frac{T^6}{T^4} T \propto T^3 \propto a^{-9/8}$$

● quasi-decoupled:  $T_\chi \propto a^{-9/8}$

# Quasi-Decoupling Reconsidered

*Isaac Waldstein, ALE, Charlie Mace, Cosmin Ilie, coming soon*

The temperature evolution eqn.  $a \frac{dT_\chi}{da} + 2T_\chi = -2 \frac{\gamma}{H} (T_\chi - T)$  assumes that each collision imparts a **small change to the DM particles' momentum**.

$$\frac{\Delta p}{p} \ll 1 \iff \frac{T_L}{\sqrt{m_\chi T_\chi}} \ll 1$$

This is true for cold DM prior to kinetic decoupling, but it is violated after that as the **DM cools faster than the radiation**.

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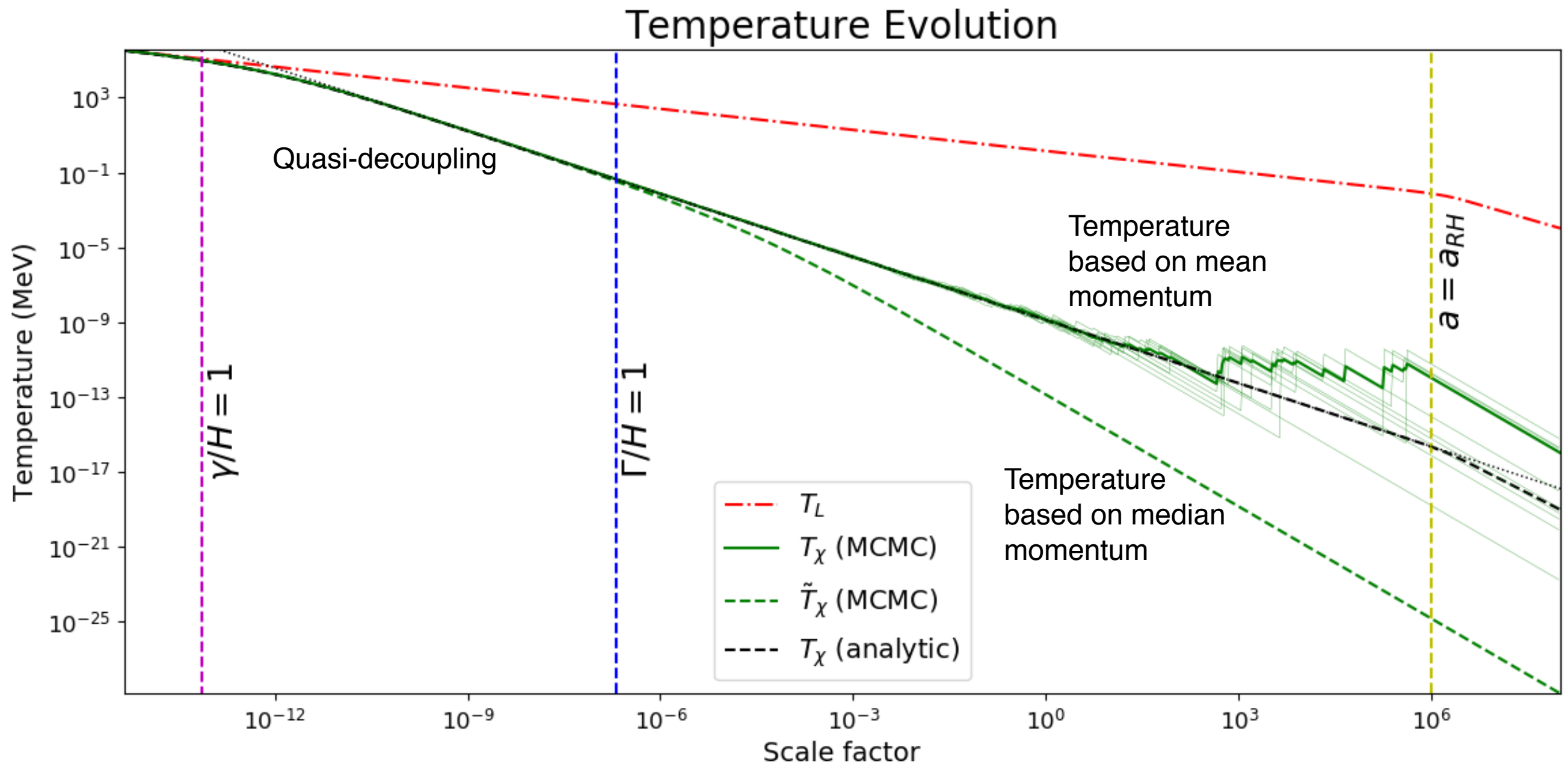
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This is true for cold DM prior to kinetic decoupling, but it is violated after that as the **DM cools faster than the radiation**.

- Radiation domination: violation after it's no longer relevant.
- EMDE: violation shortly before collision rate equals Hubble rate.
- EMDE: dark matter particles experience collisions with hot leptons that greatly increase their momenta.
- Let's simulate this!

# Simulating Decoupling

**Charlie Mace**, ALE, coming soon

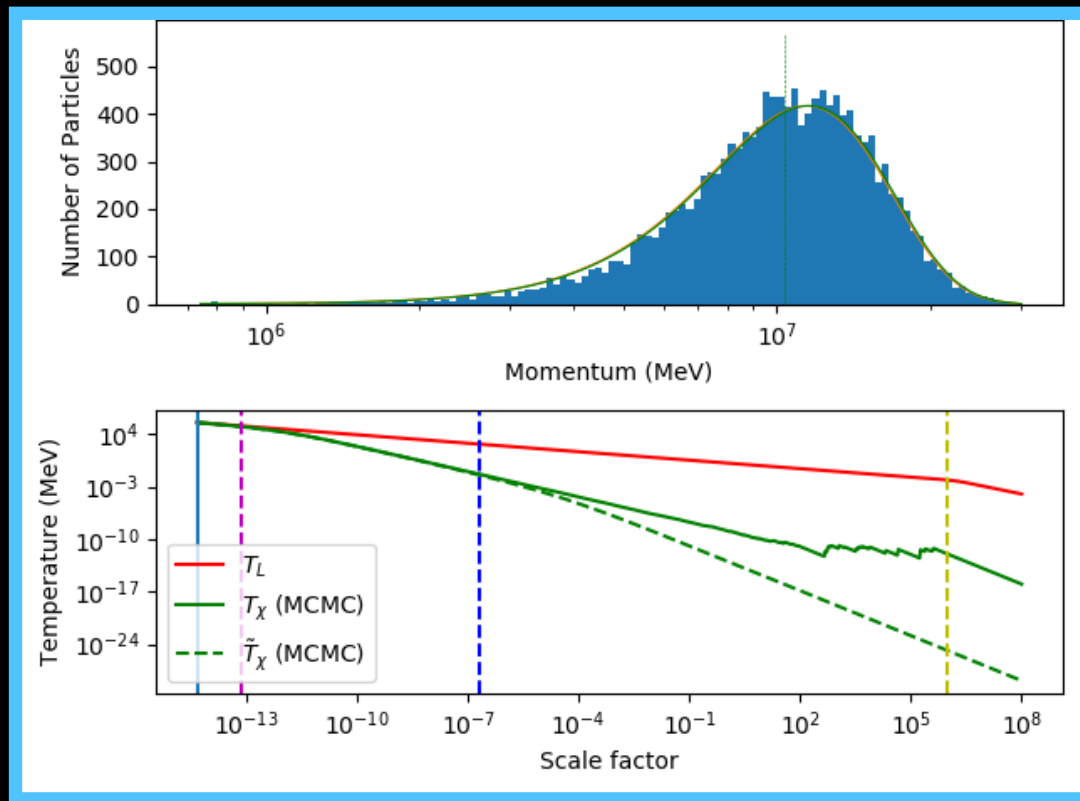




# Post-Decoupling Velocities



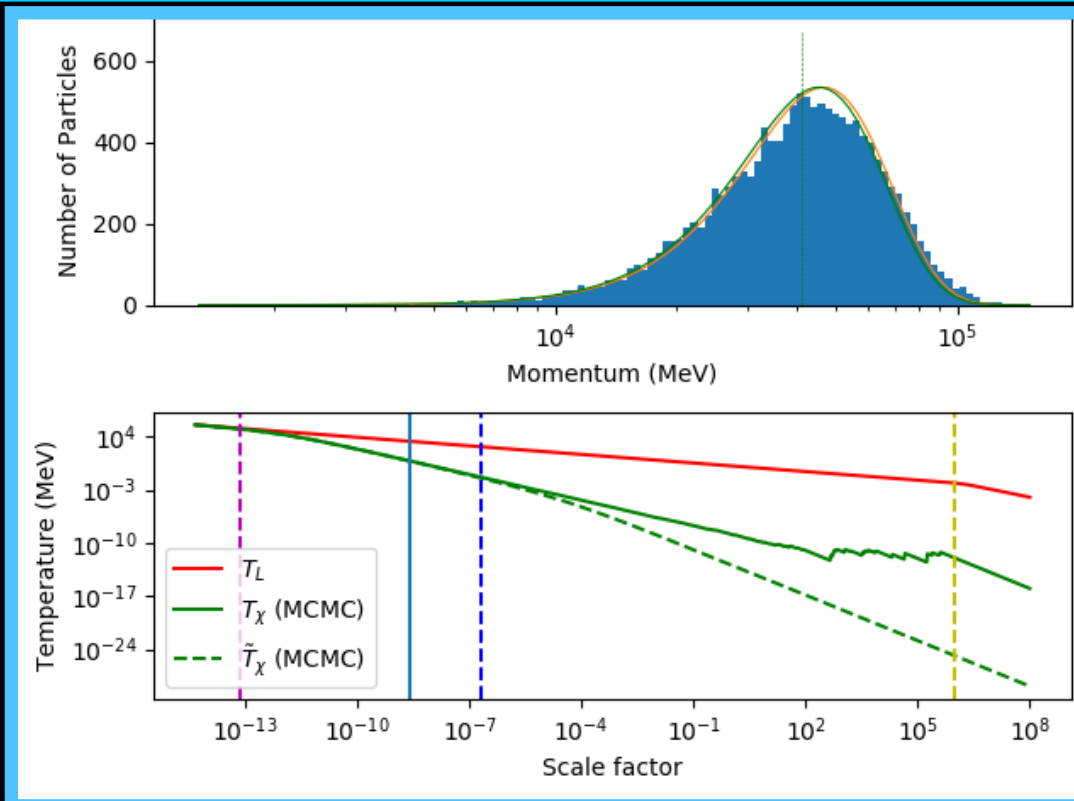
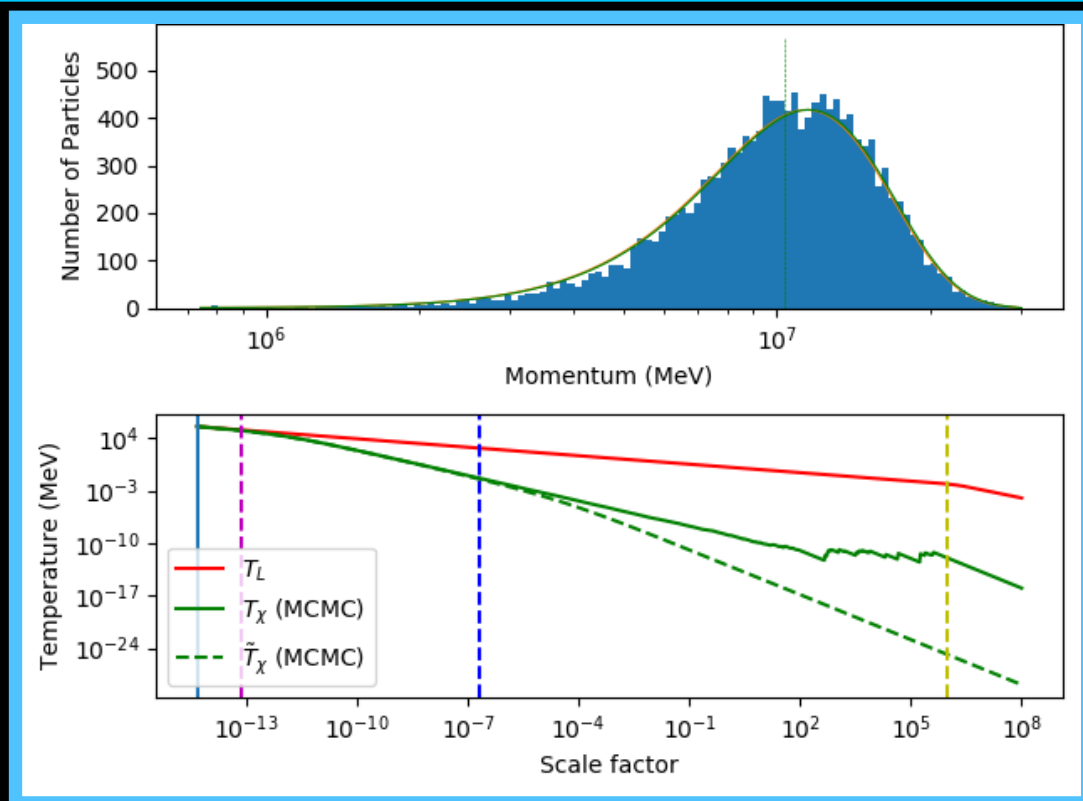
**Charlie  
Mace, ALE,  
coming soon**



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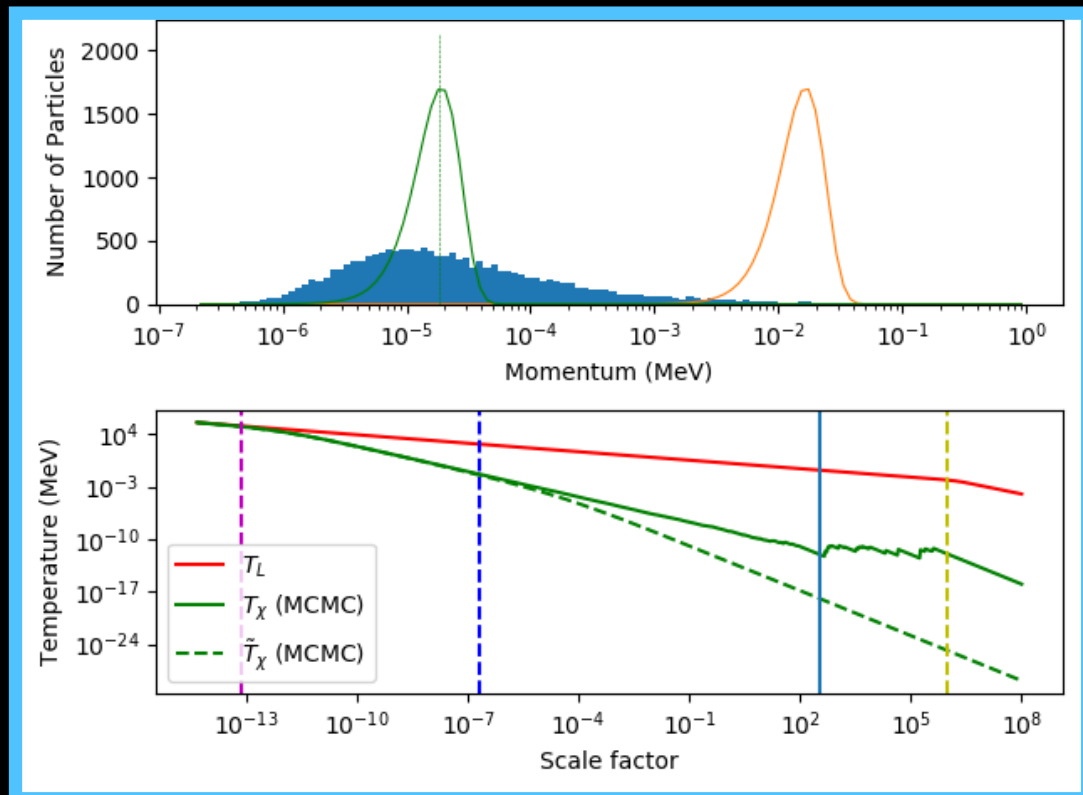
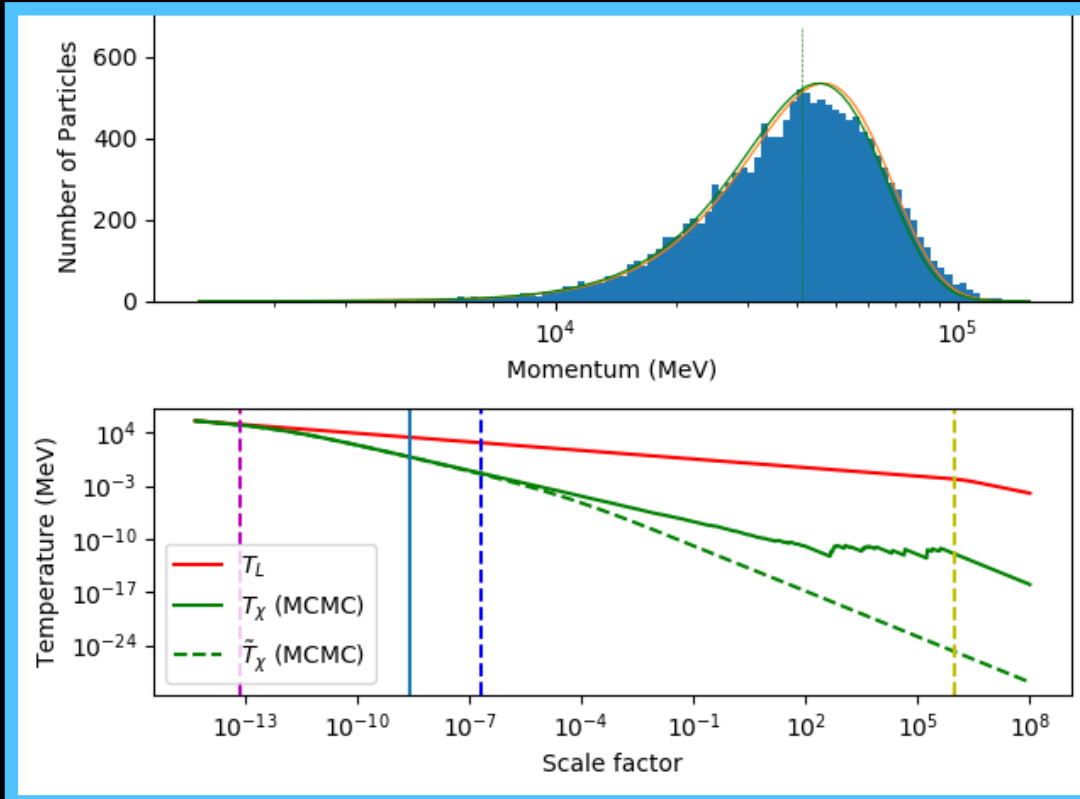
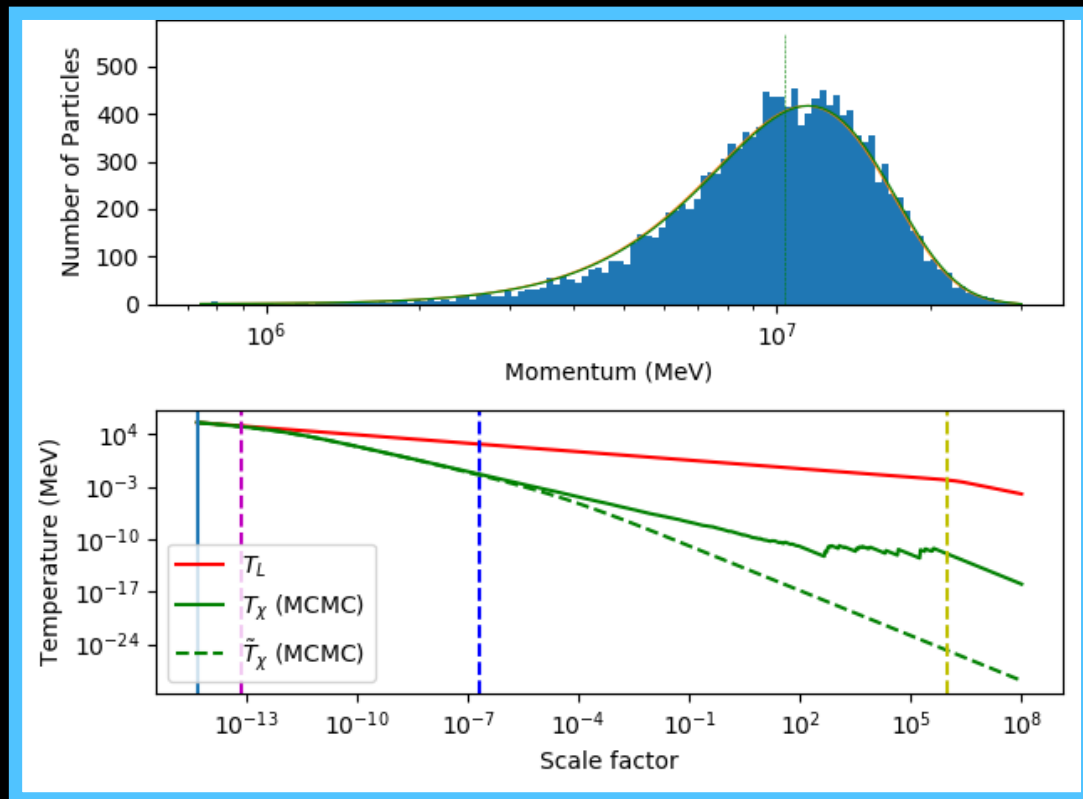
**Charlie  
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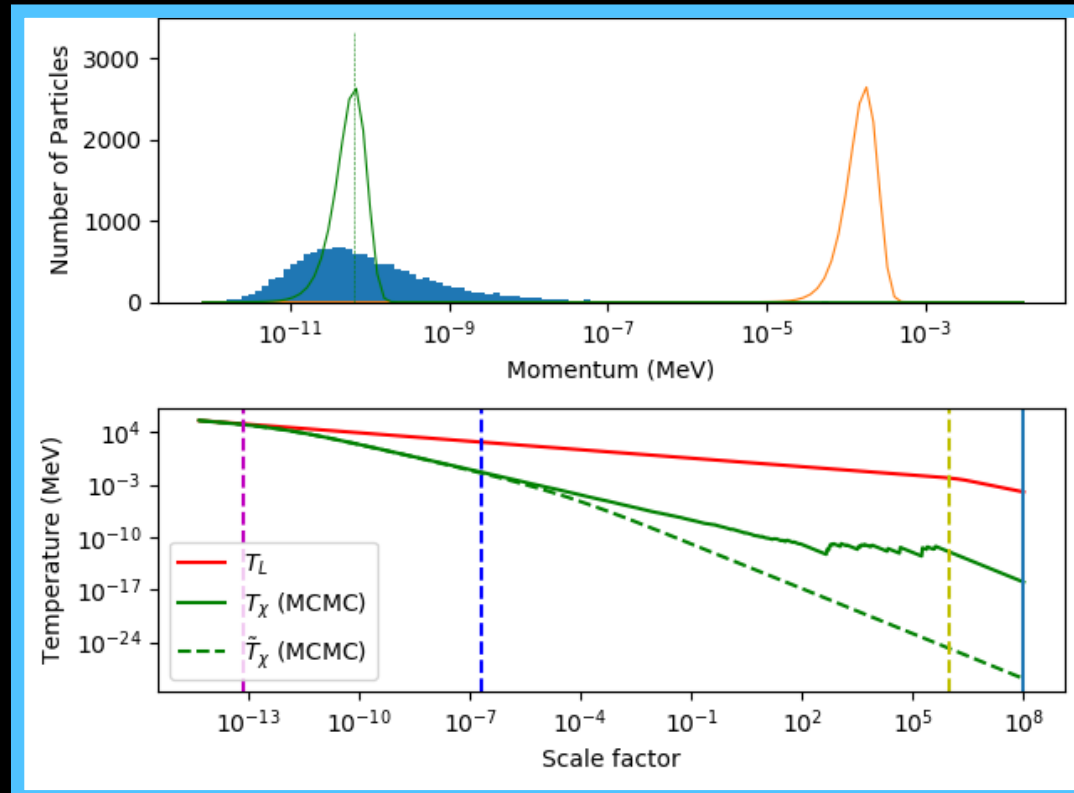
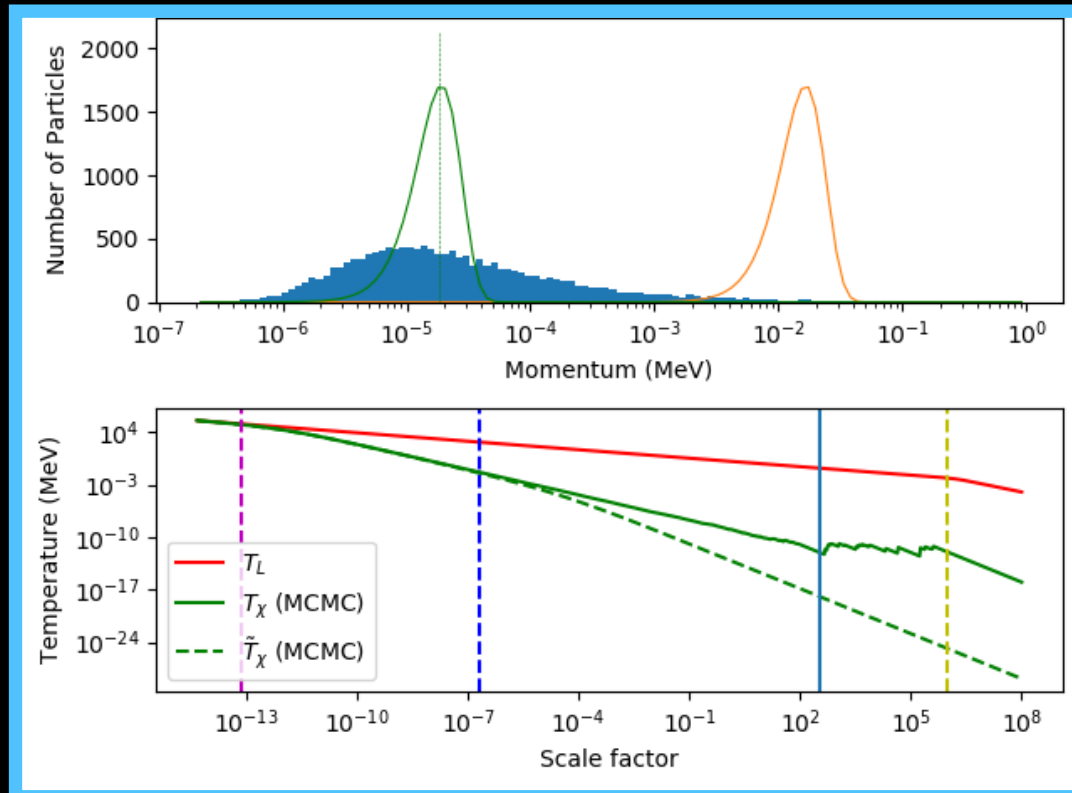
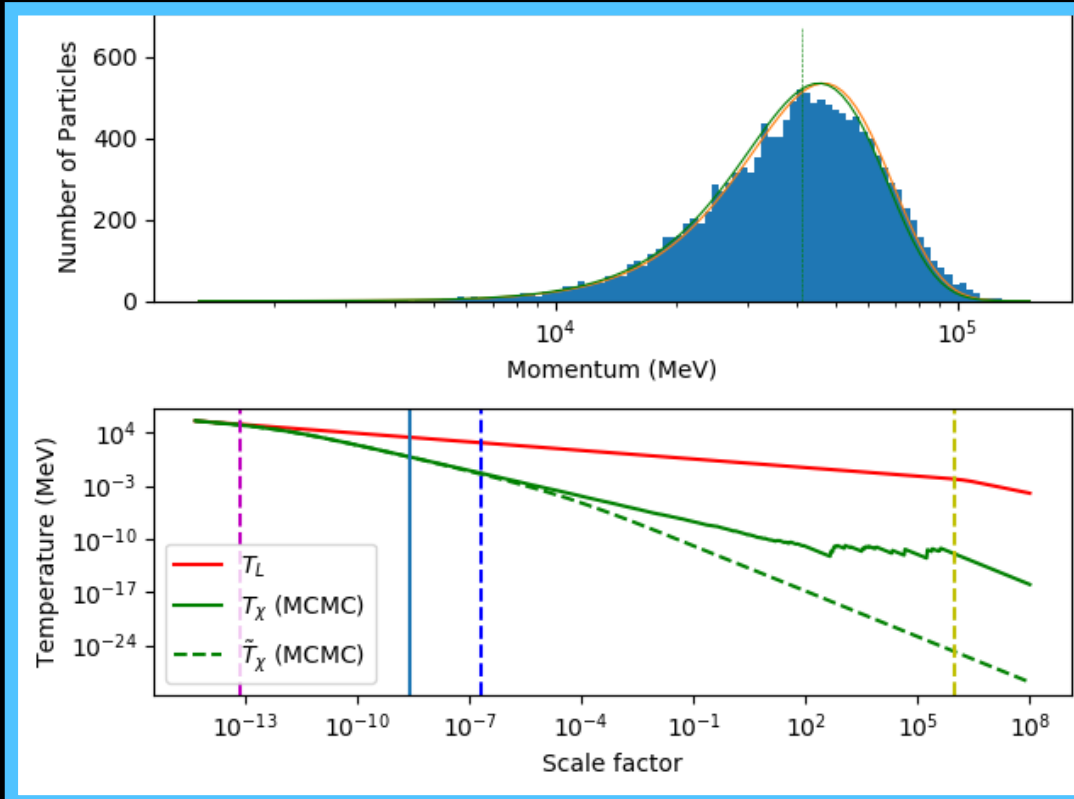
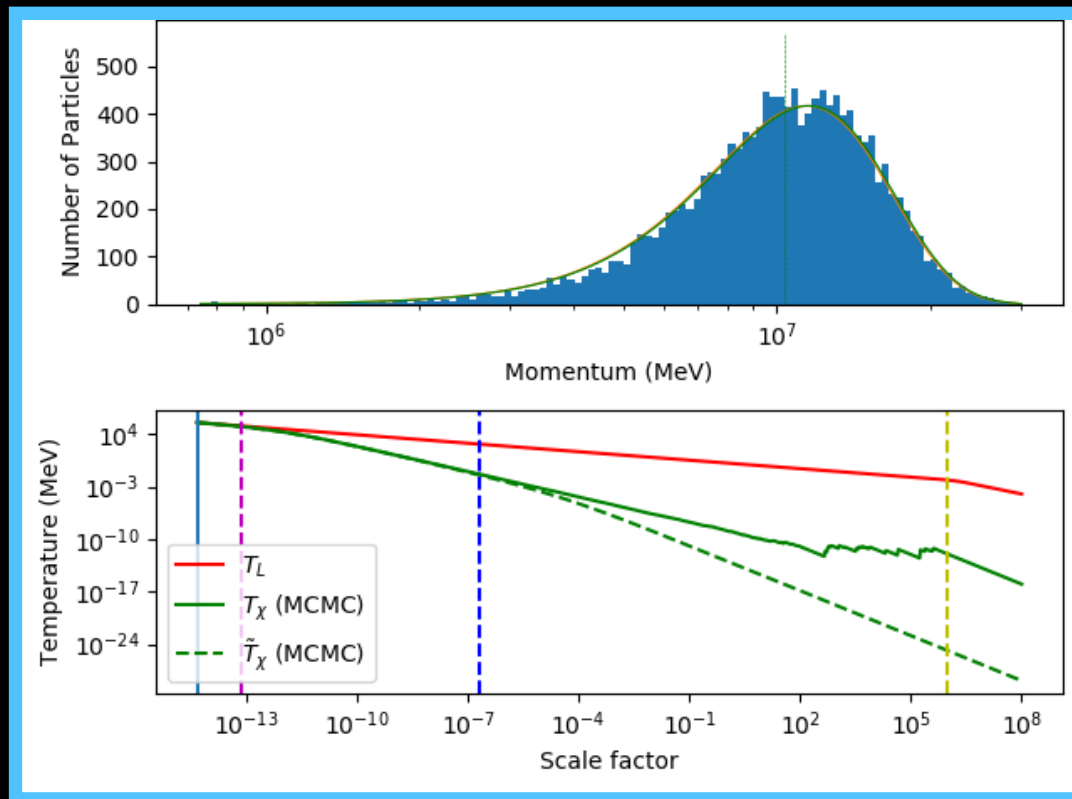
**Charlie  
Mace, ALE,  
coming soon**



# Post-Decoupling Velocities



**Charlie  
Mace, ALE,  
coming soon**



# Post-Decoupling Velocities



**Charlie Mace, ALE,**  
coming soon

*We're left with a broad velocity distribution that is much colder than quasi-decoupling would predict, but still hotter than std.*

