

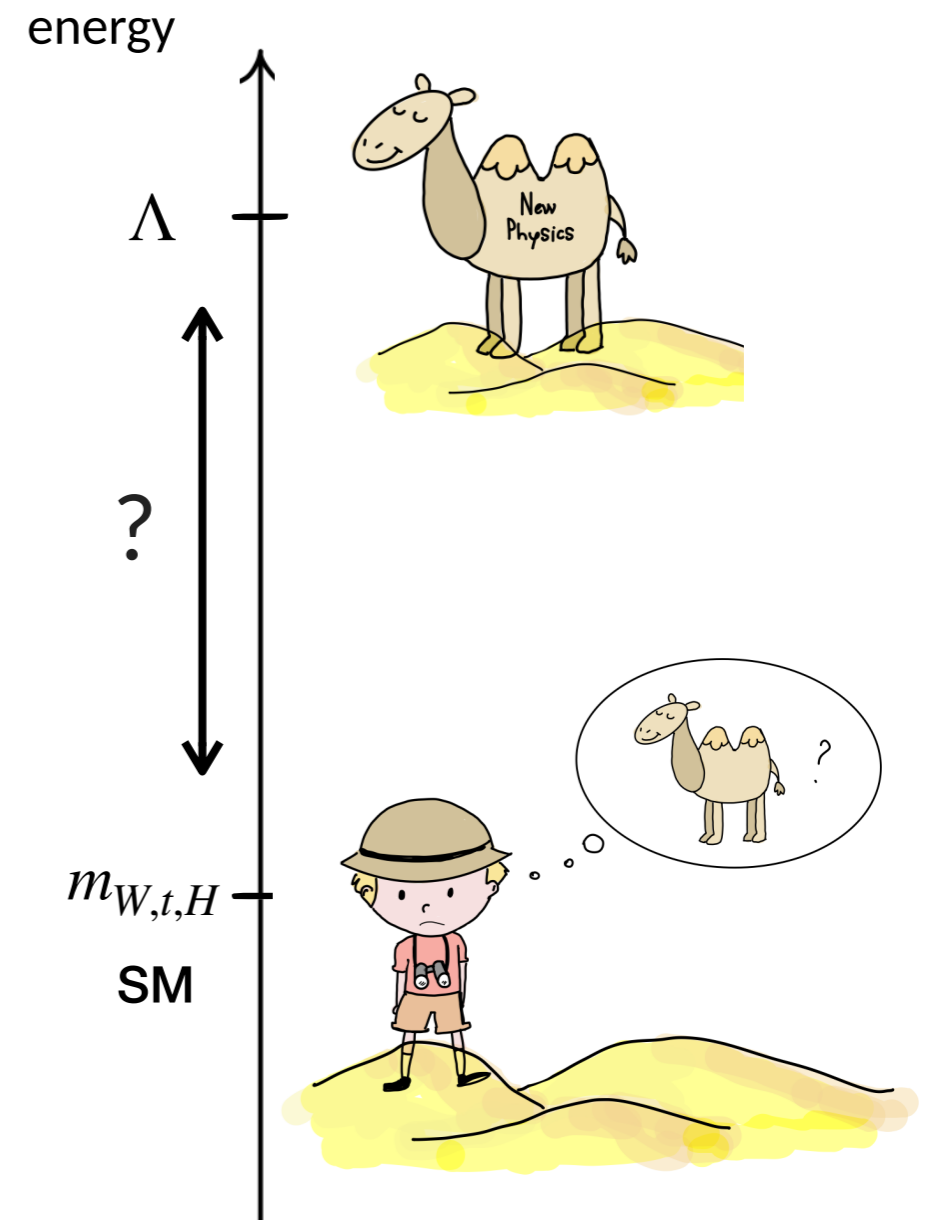
Current opportunities in flavor physics

Claudia Cornella (JGU Mainz)

June 2024 || LHCp Boston

The scale of New Physics

No direct evidence of BSM,
we are facing a **mass gap**: NP is either very heavy, or
light and weakly coupled to the SM.



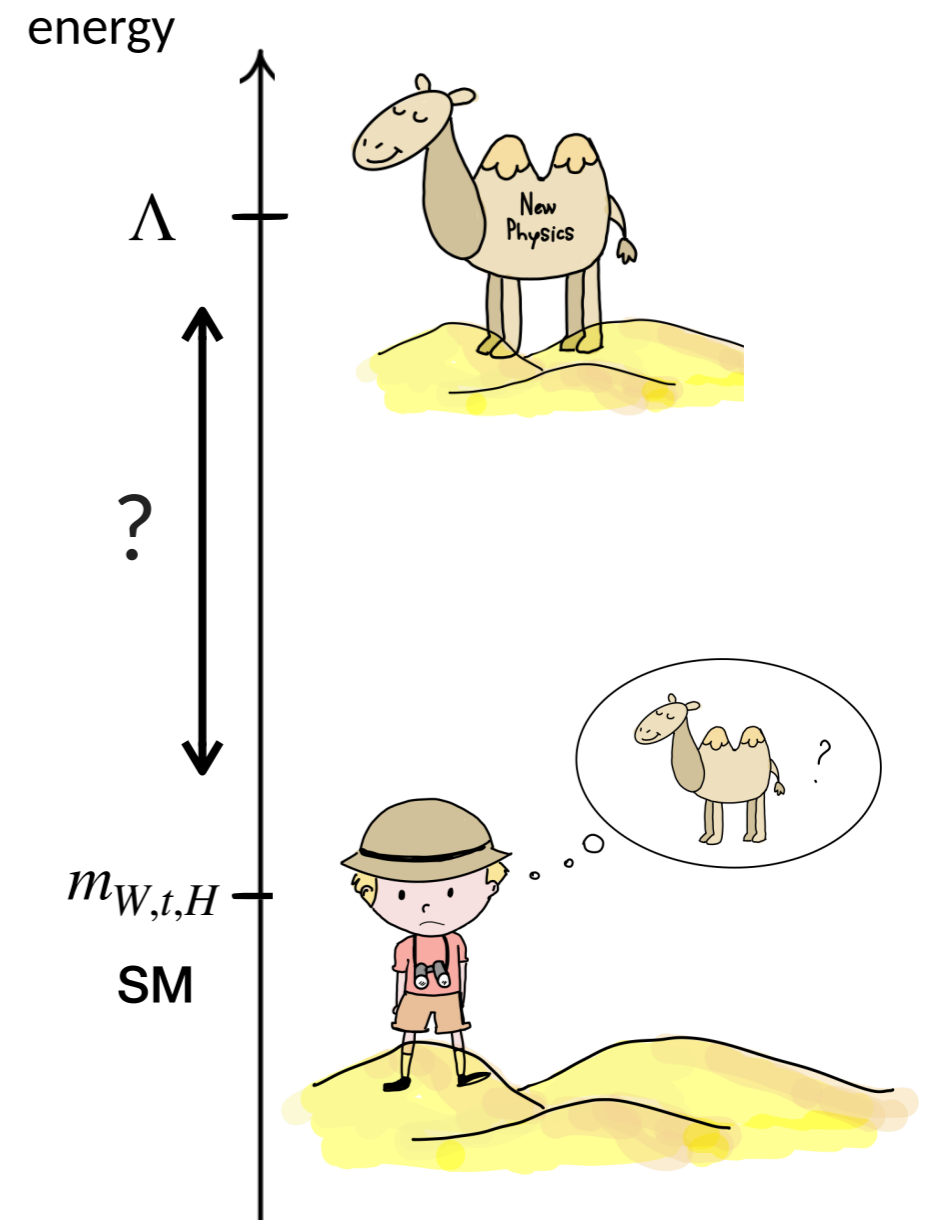
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Use **EFTs** and **data** to bridge the gap:

- describe heavy NP via higher-dim. operators
- use data (electroweak, flavor & collider) to constrain the Wilson coefficients
- constraints are interpreted as lower bounds on an "effective" NP scale

Caveat: **interpreting** EFT bounds without additional assumptions can lead to overly pessimistic estimates.



The scale of New Physics

- In the 1970s, the “SM” had two quark families, & CP was an accidental symmetry. CP violation in K mixing suggested a huge NP scale. The actual scale was much lower:

$$\frac{1}{\Lambda_{\text{CP}}^2} (\bar{s} \Gamma d)^2 \Rightarrow \Lambda_{\text{CP}} \sim 10^4 \text{ TeV}$$

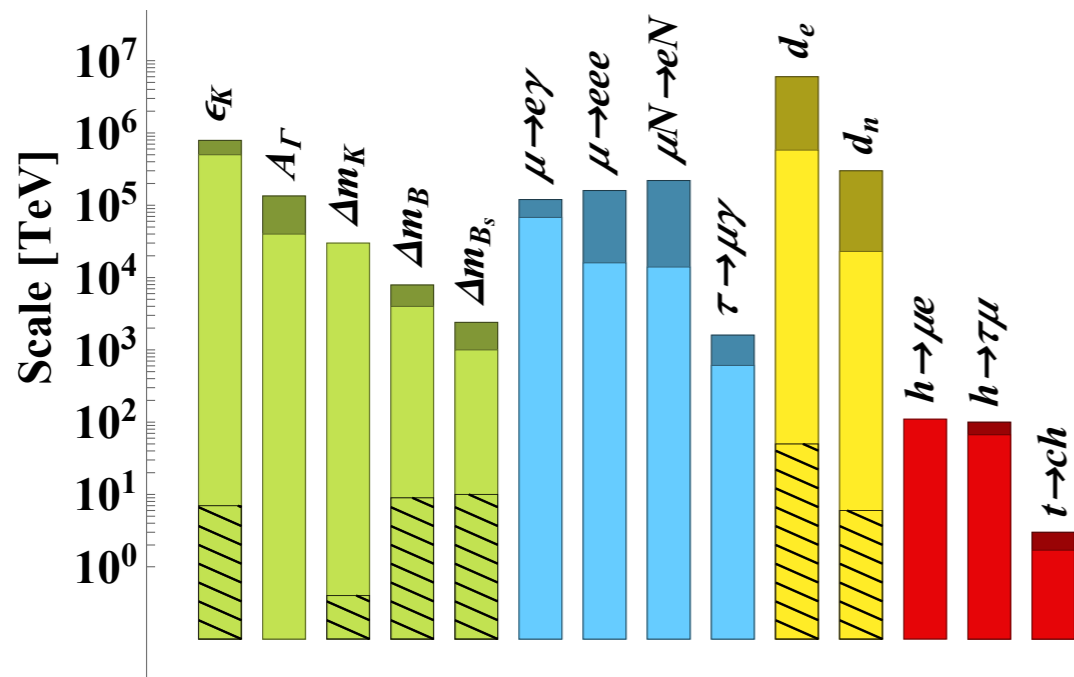
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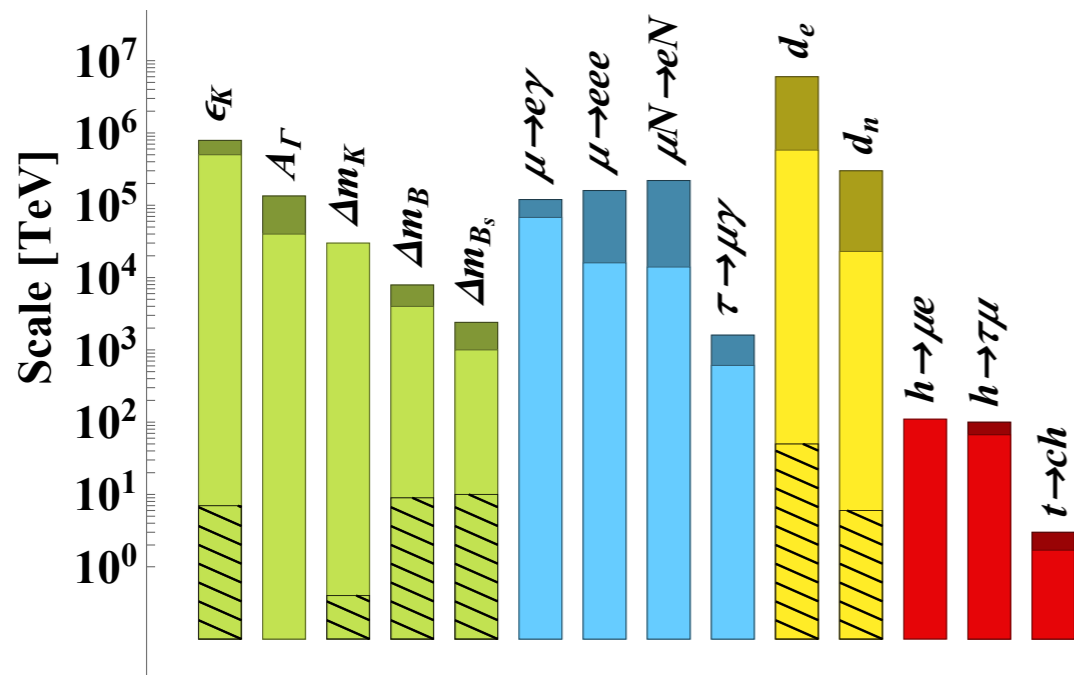
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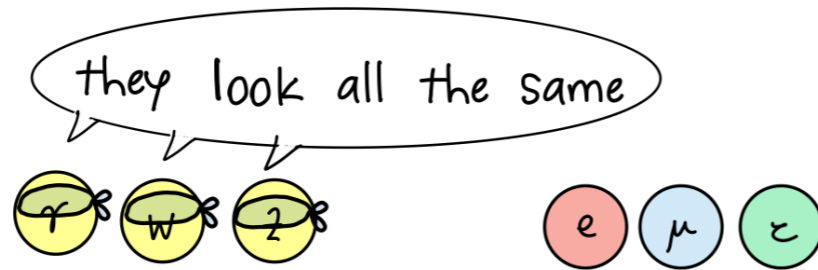
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⇒ Educated assumptions about NP flavor structure can **guide** our **interpretation** of **SMEFT** bounds. Use **flavor & hierarchy** problem as guidance!

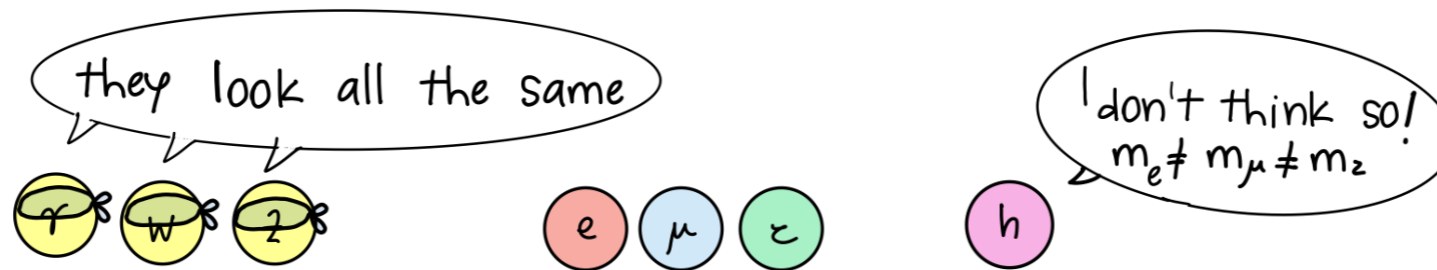
The flavor sector of the Standard Model



SM **gauge** interactions are **flavor-universal**, enjoying a large accidental flavor symmetry:

$$G_F = U(3)^5 \equiv U(3)_q \times U(3)_u \times U(3)_d \times U(3)_\ell \times U(3)_e$$

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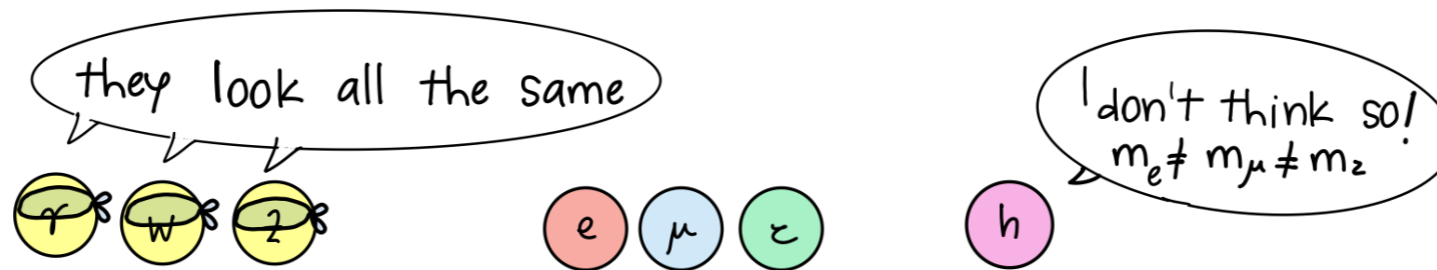
They break G_F to an approximate $U(2)^5$ symmetry:

$$M_{e,d,u} = \begin{bmatrix} \text{light gray} & & \\ & \text{dark gray} & \\ & & \text{black} \end{bmatrix} \quad V_{\text{CKM}} = \begin{bmatrix} \text{black} & \text{dark gray} & \text{light gray} \\ \text{dark gray} & \text{black} & \text{light gray} \\ \text{light gray} & \text{light gray} & \text{black} \end{bmatrix}$$

$$U^5(3) \rightarrow U(2)^5 \equiv U(2)_q \times U(2)_u \times U(2)_d \times U(2)_\ell \times U(2)_e$$

This structure is an empirical fact. Its **origin** remains a puzzle, the **flavor puzzle**.

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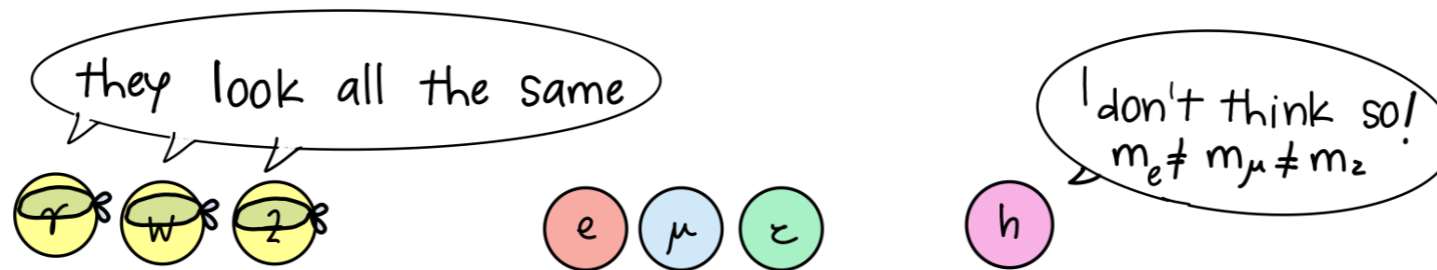
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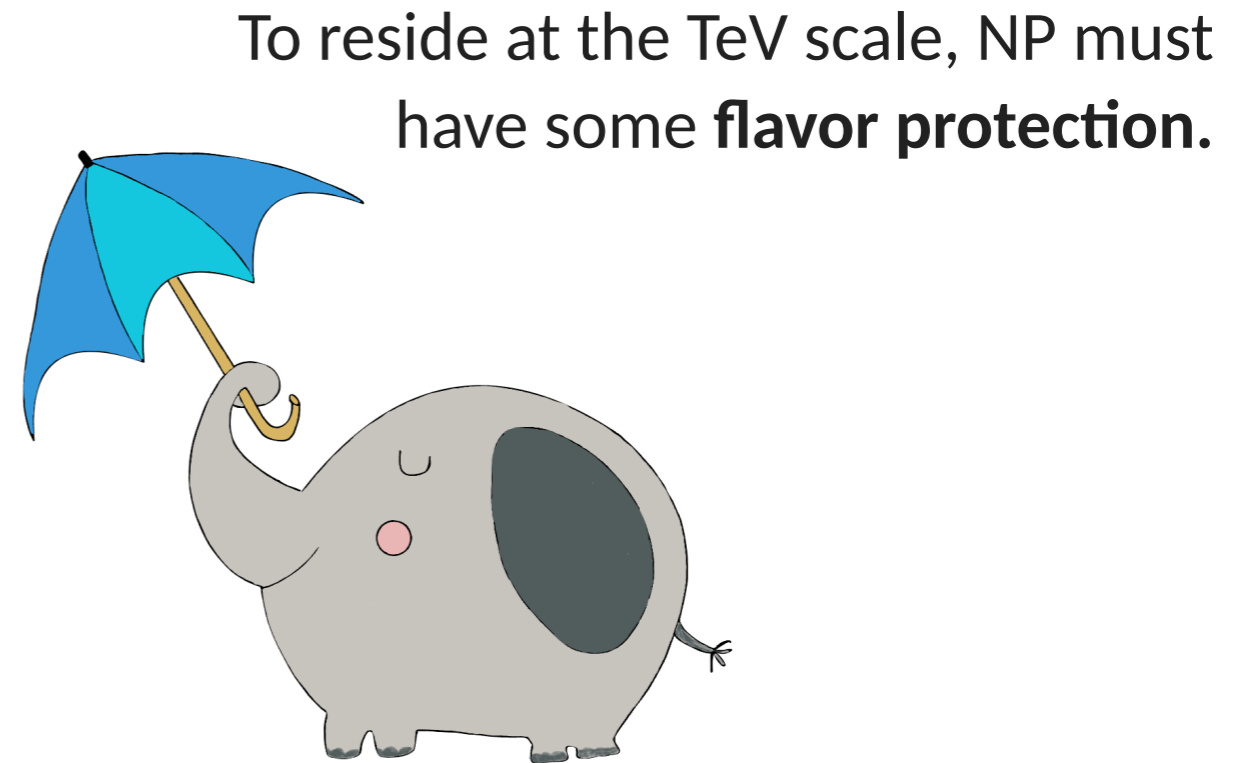
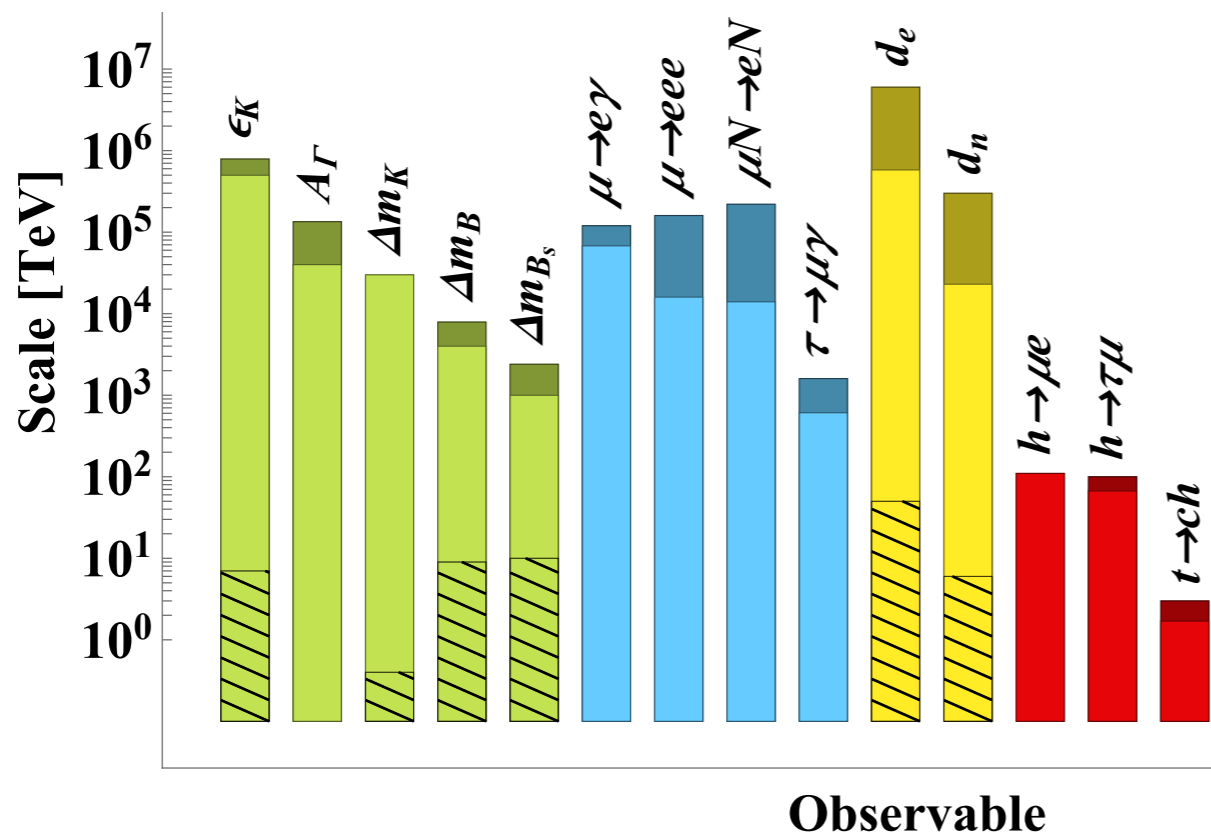
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To keep the Higgs mass at its measured value, naturalness suggests that some **NP** **coupled to the Higgs** and **top** appears around the **TeV scale**.

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How to reconcile this with **flavor bounds**?



Protecting New Physics from Flavor

Minimal Flavor Violating (MFV) new physics:

- Yukawas couplings are the only sources of flavor violation:
MFV describes (perturbations around) **flavor-universal NP**.
- by construction, little to no effect in flavor-changing processes.
- but couplings to valence quarks are not suppressed
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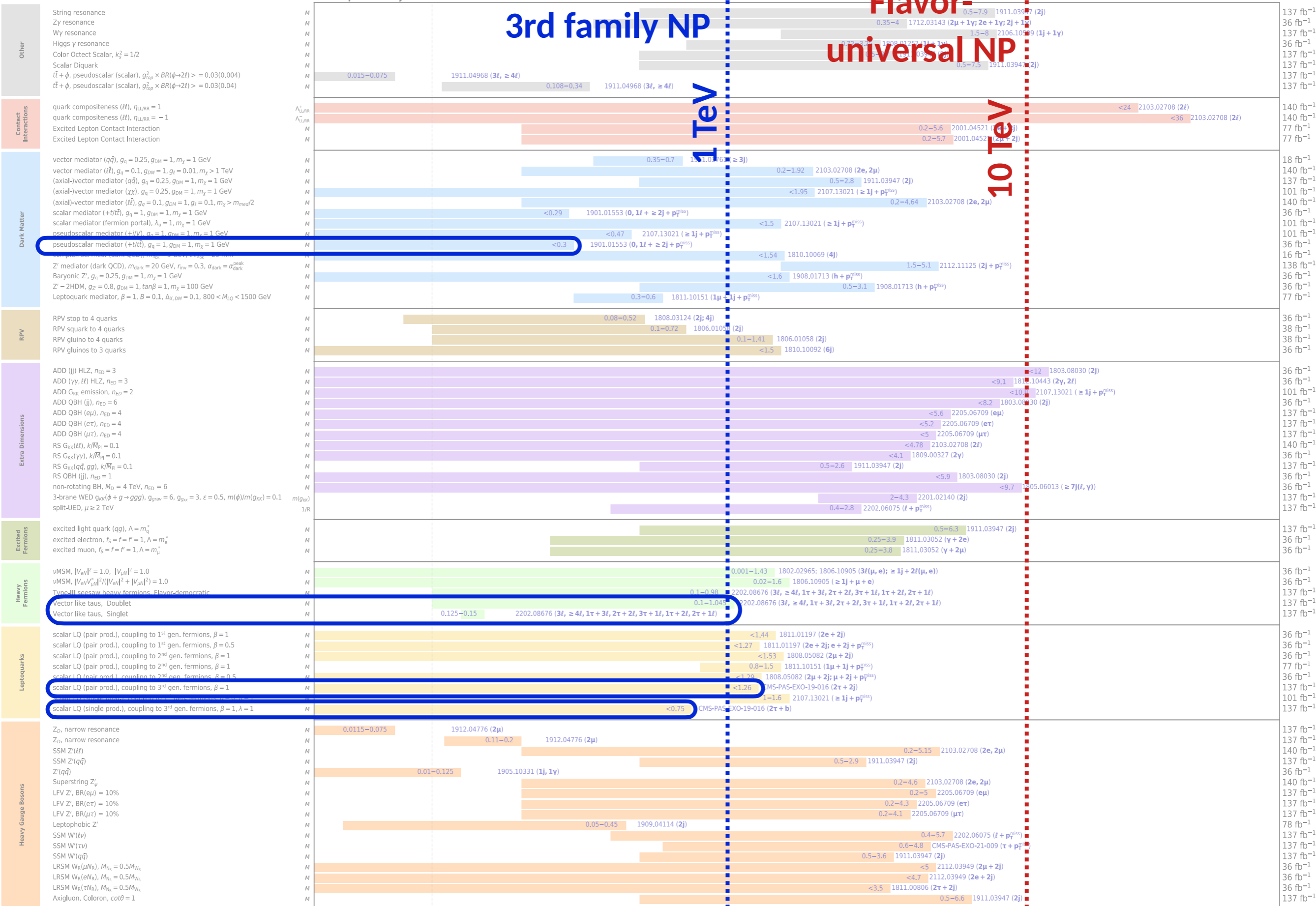
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Flavor-dependent (3rd family) new physics:

- NP distinguishes among different flavors by coupling dominantly to the third family. $\textcircled{1} = \textcircled{2} \neq \textcircled{3}$
- Third family is “special”: possible connection to hierarchy & flavor problem.
- NP has an approximate $U(2)^n$ symmetry, like the SM Yukawas.
- couplings to light families can be suppressed: can live at the TeV scale.

Overview of CMS EXO results

16-140 fb⁻¹ (13 TeV)



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Selection of observed exclusion limits at 95% C.L. (theory uncertainties are not included).

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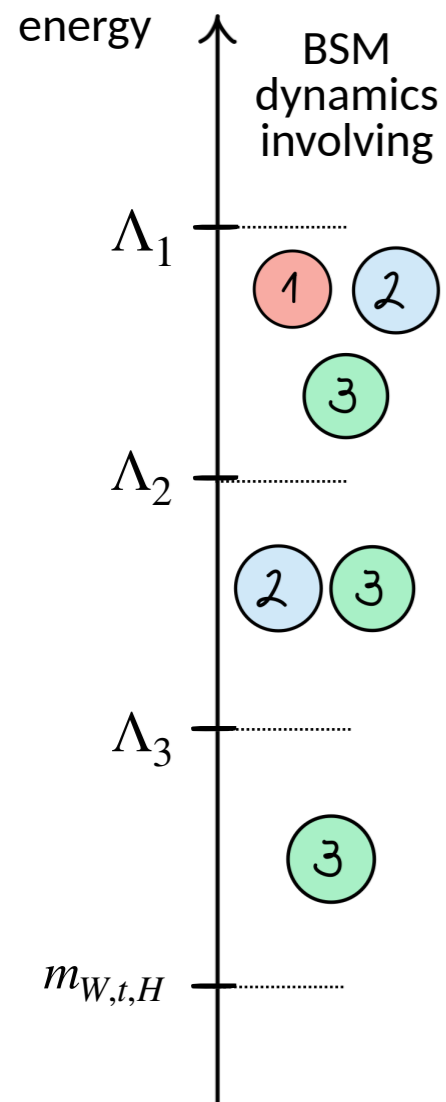
mass scale [TeV]

Claudia Cornella || JGU Mainz

2022

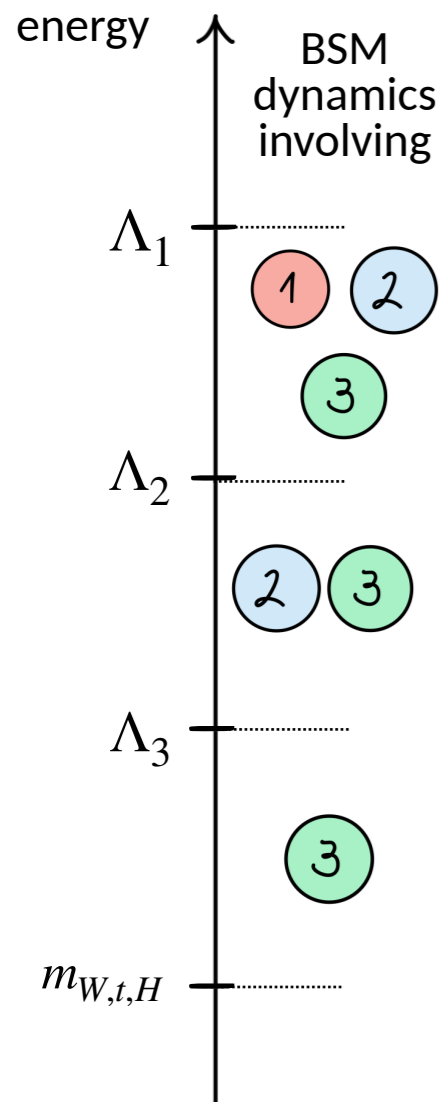
Flavor-non-universal New Physics

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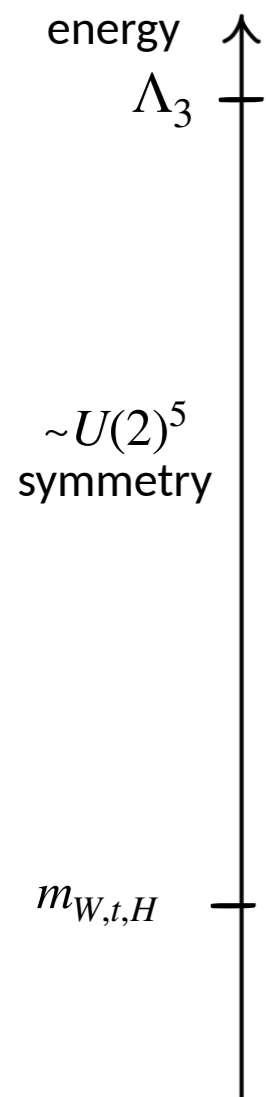
At high energies, the three **families** are **intrinsically different** objects.

Non-universal forces acting on the i -th SM family have characteristic scales $\Lambda_1 \gg \Lambda_2 \gg \Lambda_3 \gg m_W$.

The **flavor universality** of SM gauge interactions is an accidental **low-energy property**.

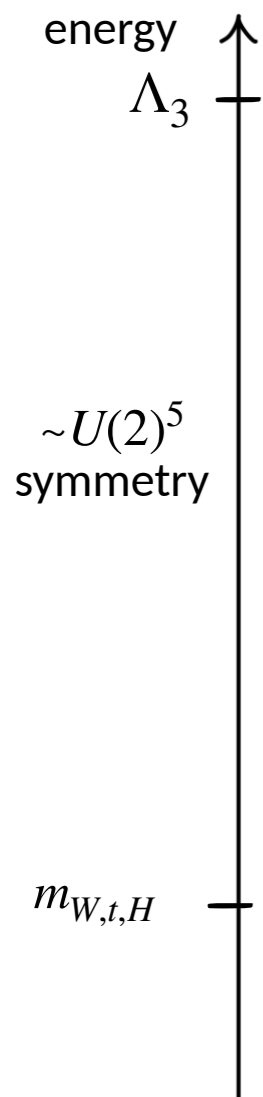
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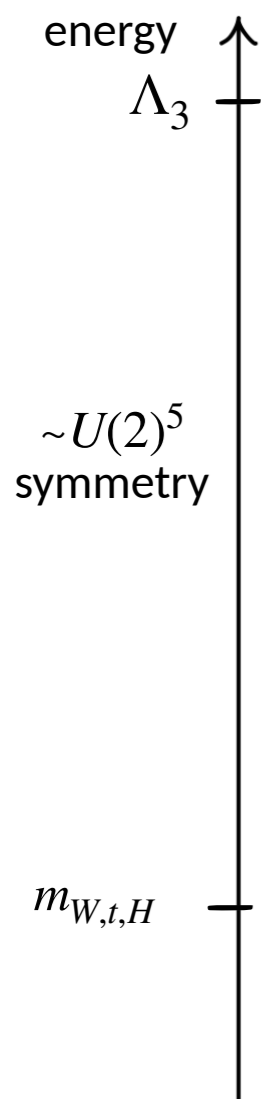
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Around Λ_3 , Yukawas & NP couplings have an approximate **$U(2)$** symmetry: largest entries in the 3rd family.

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Explicit realization: **deconstruct SM gauge group by flavor**

$$G = G_{3,SM} \times G_{12,SM} \rightarrow G_{SM}$$

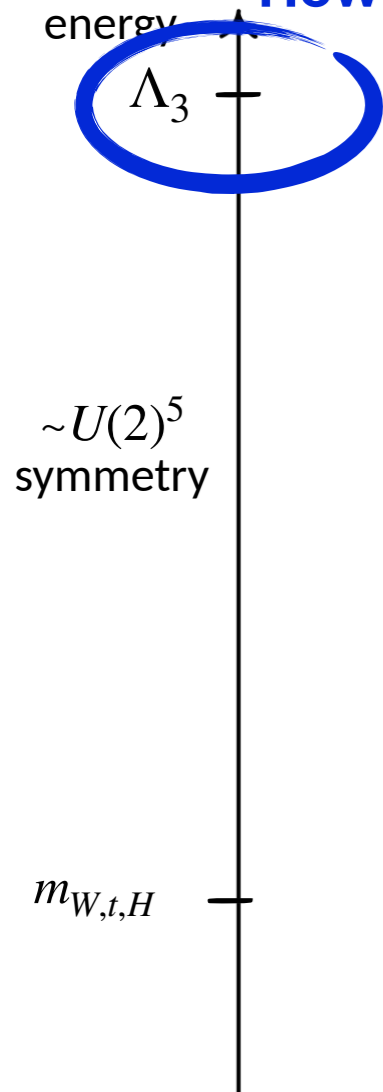
acts on 3rd fam. & Higgs acts on light families

- built-in $U(2)^5$ in gauge sector, only 3rd family Yukawas
- SSB to SM breaks $U(2)^5$ generating subleading Yukawas and NP couplings for light families

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How low?



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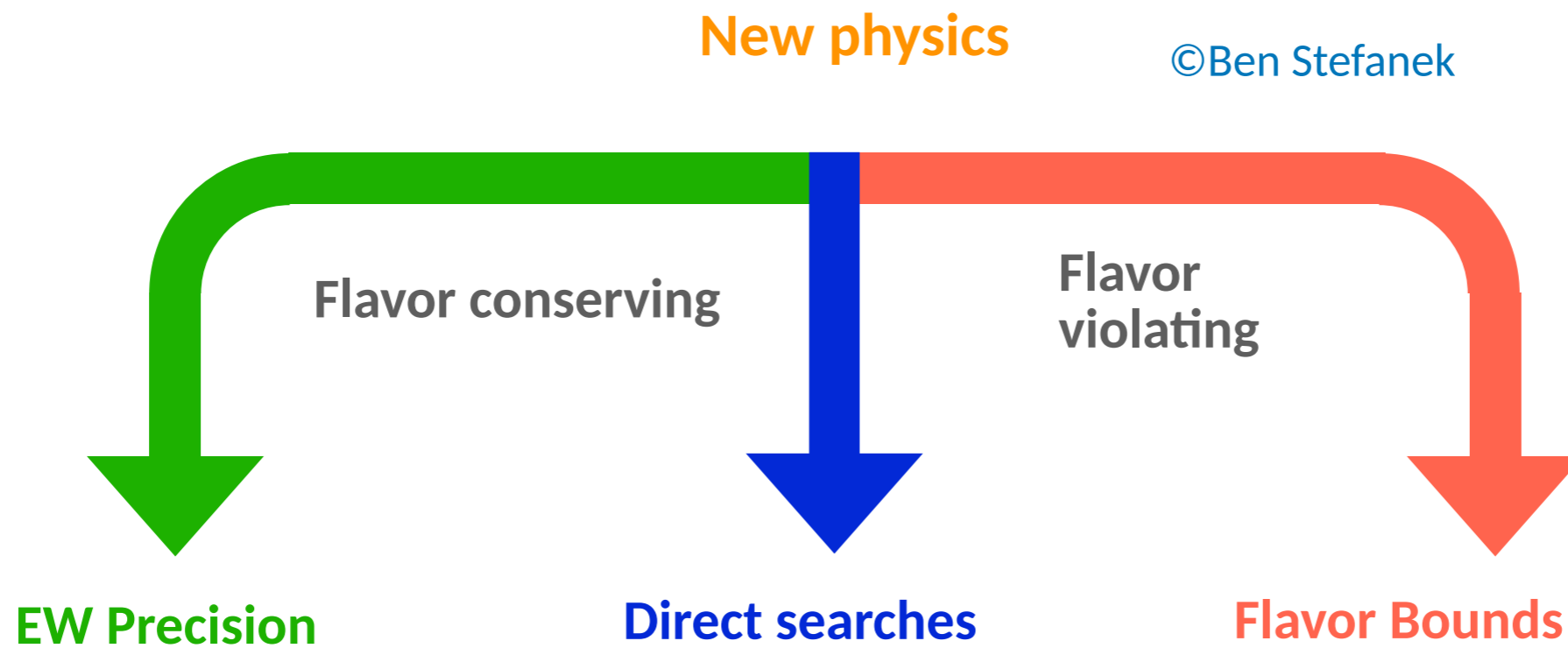
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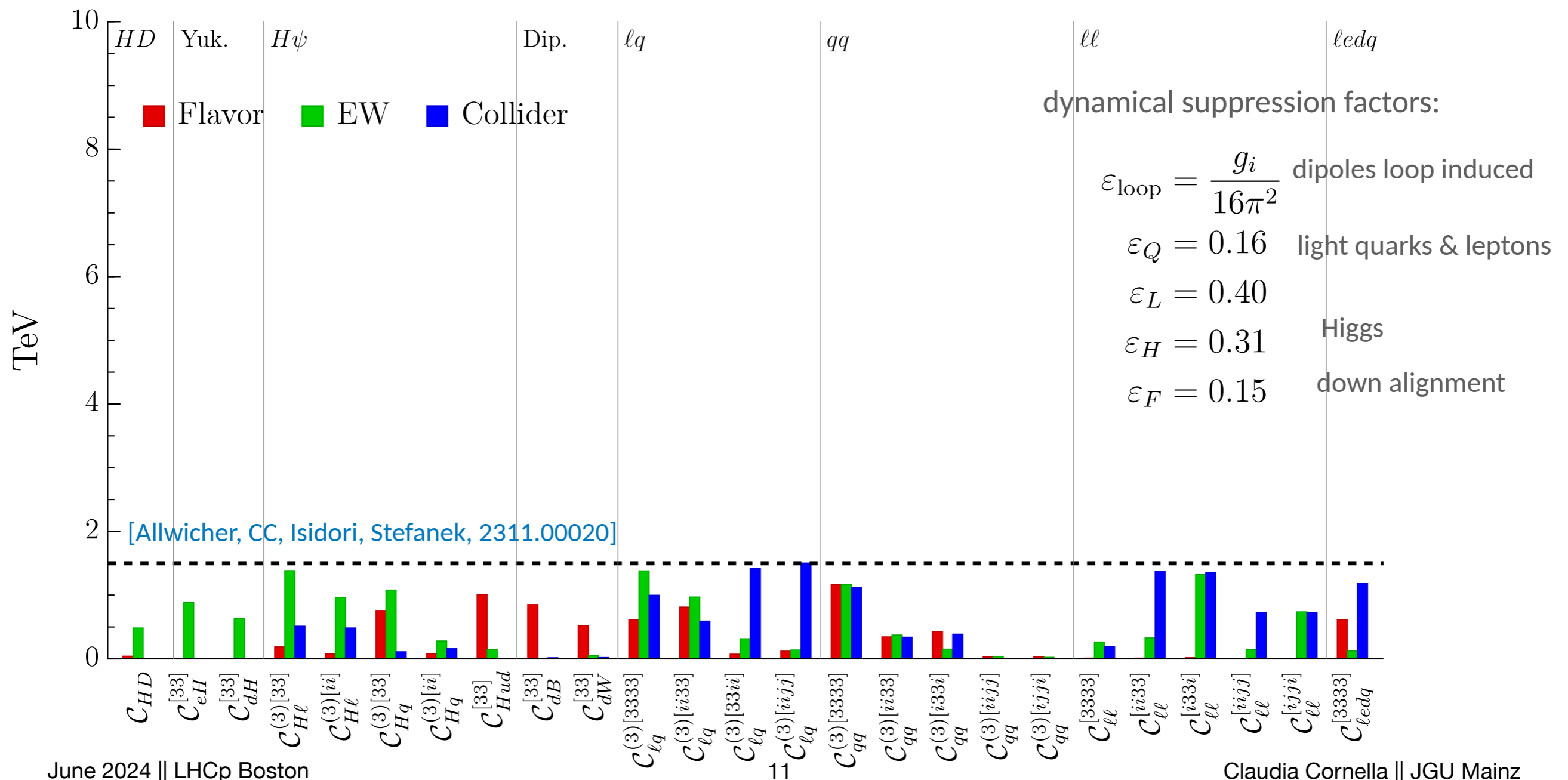
Confronting experiments



Current bounds on flavor-non-universal New Physics

With **current data**, NP mainly coupled to the 3rd family can exist at scales as low as **1-2 TeV**.
 Mutatis mutandis, similar results hold in the context of partial compositeness.

[Gloti, Rattazzi, Ricci, Vecchi 2402.09503]

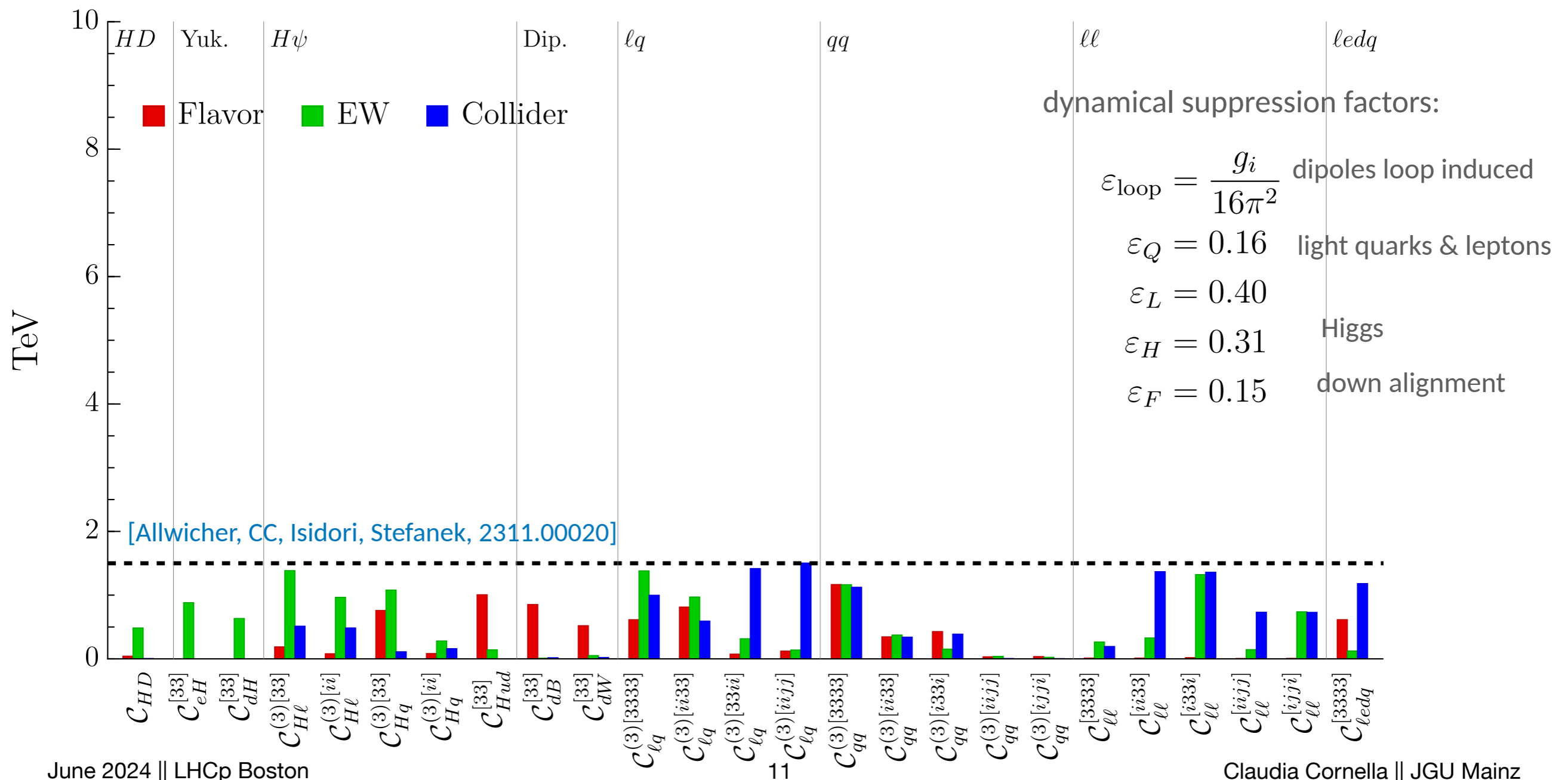


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⇒ **3rd family NP is the closest motivated target for experimental exploration.**



High-pT searches

The largest effects are expected in **3rd-family searches**, taking heavy flavors from the proton.

lepton sector: $pp \rightarrow t\bar{t}, pp \rightarrow b\bar{b} \dots$

quark sector: $pp \rightarrow \tau\tau, pp \rightarrow \tau\nu$

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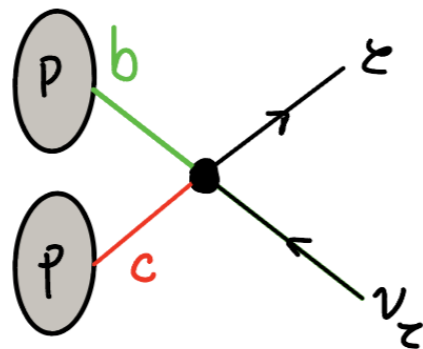
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In **tails**, the energy enhancement of the NP cross-section can overcome the pdf suppression.

e.g. $pp \rightarrow \tau\nu$



$$\frac{\mathcal{L}_{ij} \times |V_{ij}|^2 \times \left(\frac{M_W^2}{\hat{s}} - \epsilon_L\right)^2}{\mathcal{L}_{u\bar{d}+d\bar{u}} \times |V_{ud}|^2 \times \left(\frac{M_W^2}{\hat{s}}\right)^2}$$

$\mathcal{O}(10^{-5})$ for bc

$(\hat{s}/M_W^2)^2 \sim \mathcal{O}(10^5)$

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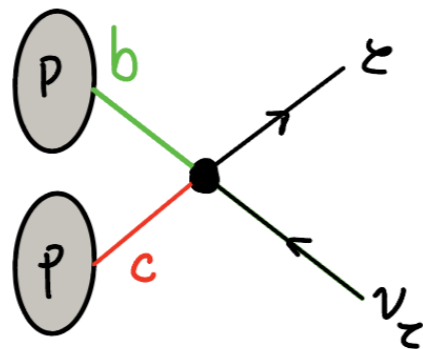
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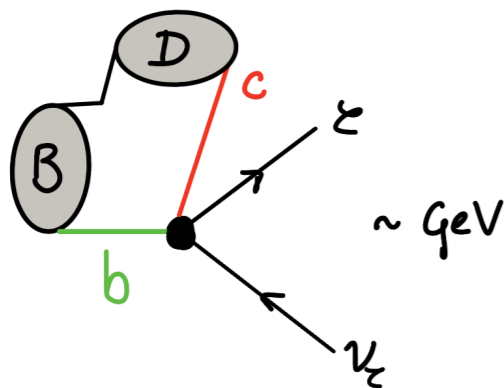
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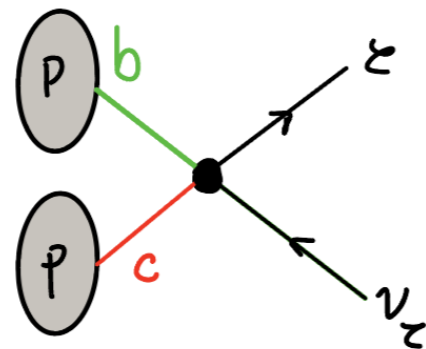
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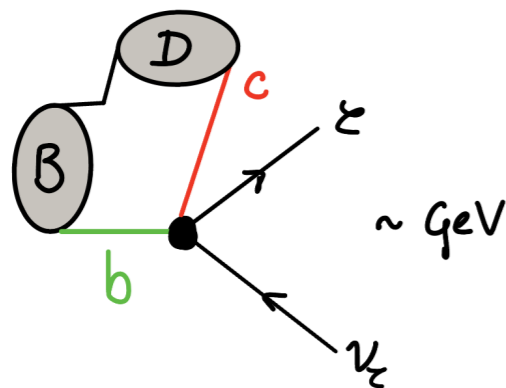
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Complementary to low-energy flavor searches:
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Important to study also LFV and LFUV, e.g. comparing $pp \rightarrow \tau\tau$ to $pp \rightarrow \mu\mu$.

[See talks by Kai-Feng Chen]

Indirect searches with B mesons

3 → **light** transitions: **B** & **tau** physics

Here focus on **semileptonic** transitions: neutral currents $b \rightarrow s(d)\ell\ell^{(\prime)}$, $b \rightarrow s(d)\nu\nu$

charged currents $b \rightarrow c(u)\ell\nu$

Largest effects expected for τ, ν_τ .

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- Probing $b \rightarrow s\tau\tau$ directly is experimentally very challenging:

Even with full LHCb and Belle II dataset, the bounds will exceed the SM by 10^{2-3} .

	CURRENT BOUND	PROJECTIONS	SM PREDICTION
$\mathcal{BR}(B^+ \rightarrow K^+ \tau^+ \tau^-)$	$< 2.25 \cdot 10^{-3}$ @ 90% CL Babar	$< 6.5 \cdot 10^{-5}$ @ 90% CL Belle 2 $5ab^{-1}$	$(1.4 \pm 0.2) \cdot 10^{-7}$
$\mathcal{BR}(B_s \rightarrow \tau^+ \tau^-)$	$< 6.8 \cdot 10^{-3}$ @ 95% CL LHCb	$< 5 \cdot 10^{-4}$ @ 95% CL LHCb $300 fb^{-1}$	$(7.73 \pm 0.49) \cdot 10^{-7}$

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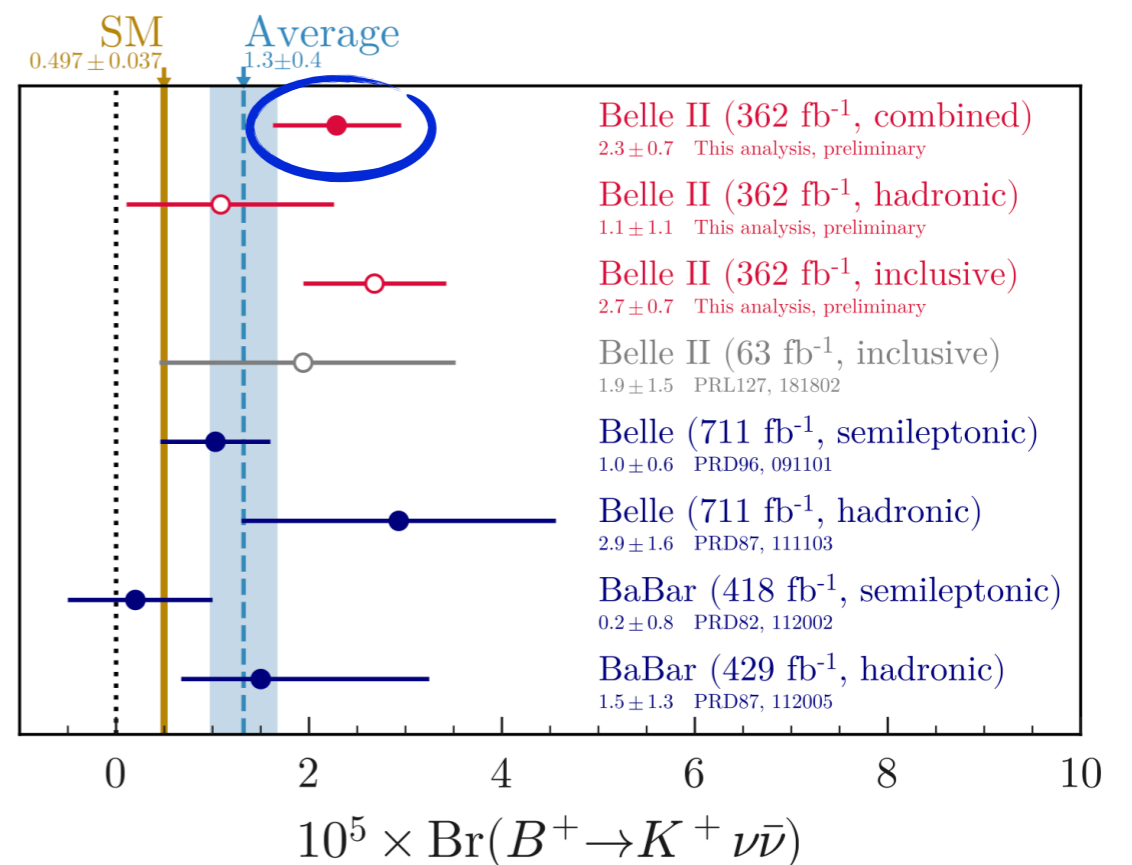
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- Currently the **only accessible FCNC** directly sensitive to 3rd generation leptons is $B \rightarrow K\nu\bar{\nu}$

First evidence by Belle II, **combined result** result 2.7σ above the SM

Work ongoing on $K^{*0,+}$ and K_S modes.



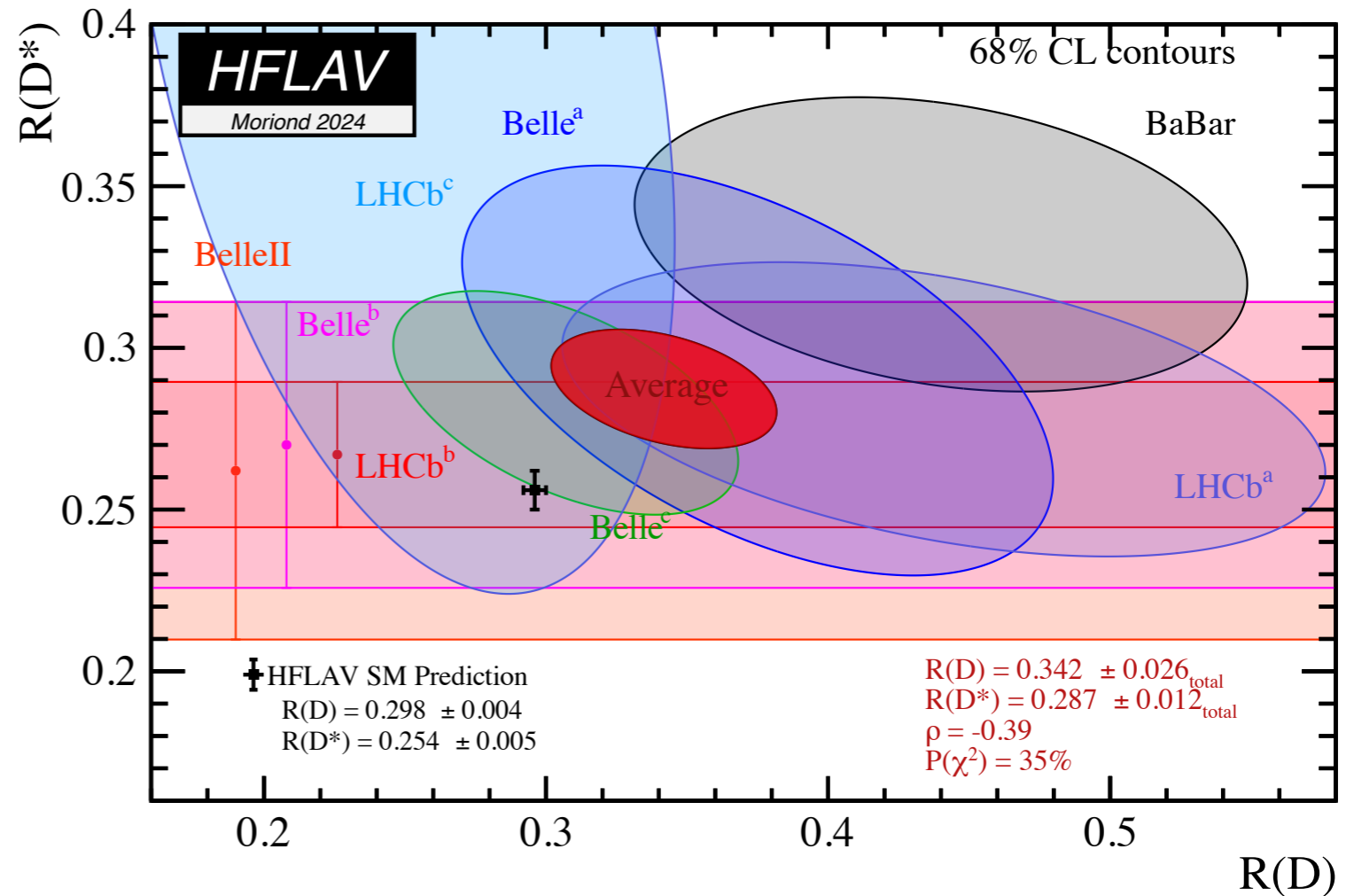
Lepton flavor universality (violation) in $b \rightarrow c \ell \bar{\nu}$

$$R_{D^{(*)}} = \frac{\mathcal{B}(B \rightarrow D^{(*)} \tau \bar{\nu})}{\mathcal{B}(B \rightarrow D^{(*)} \ell \bar{\nu})}$$

$[\ell = e, \mu]$

$\approx 3 \sigma$ tension w.r.t. SM

$\sim 10\%$ enhancement hinting
at **excess in the tau mode**



[See also talks by Marina Artuso and Eluned Smith]

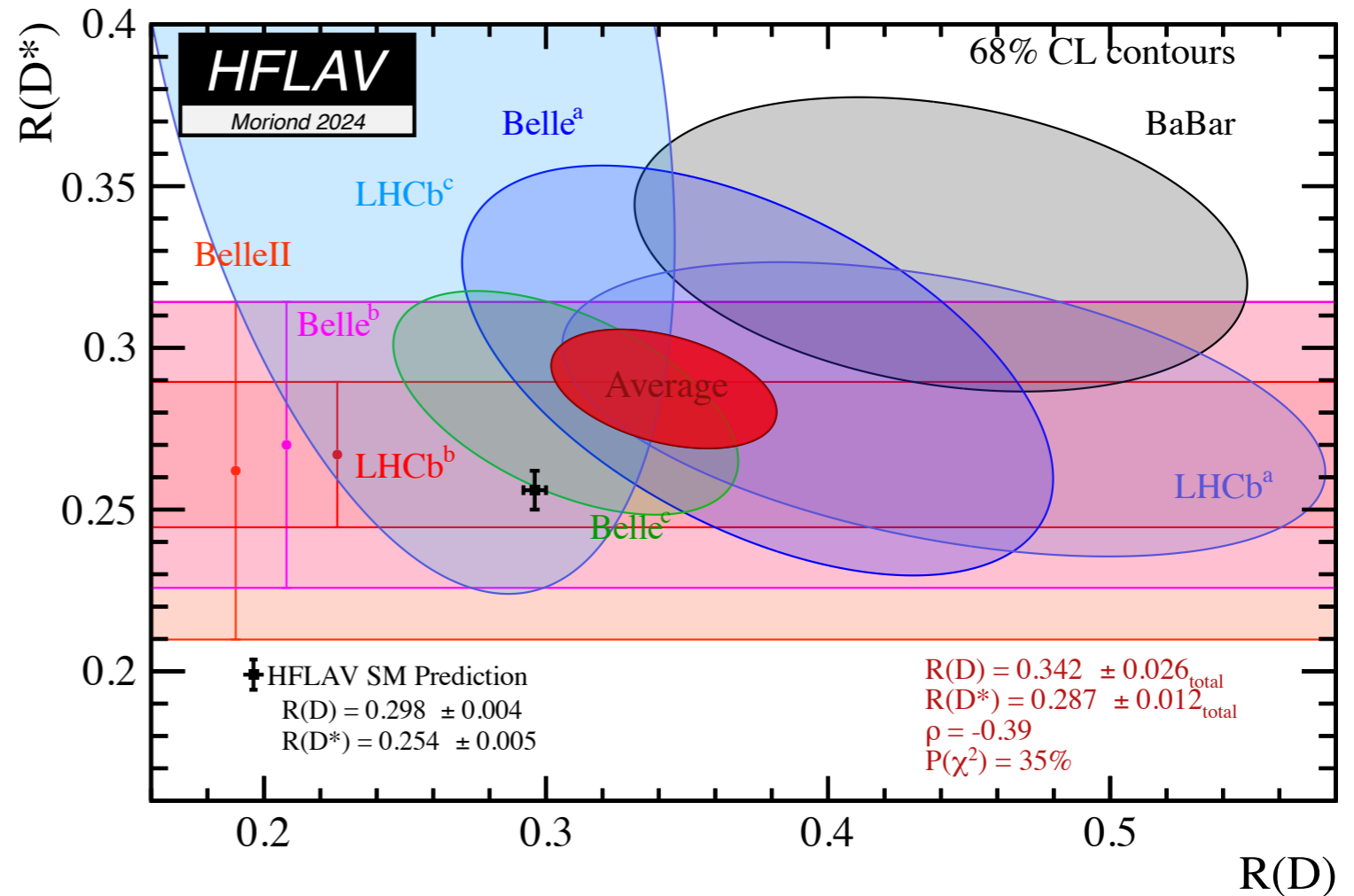
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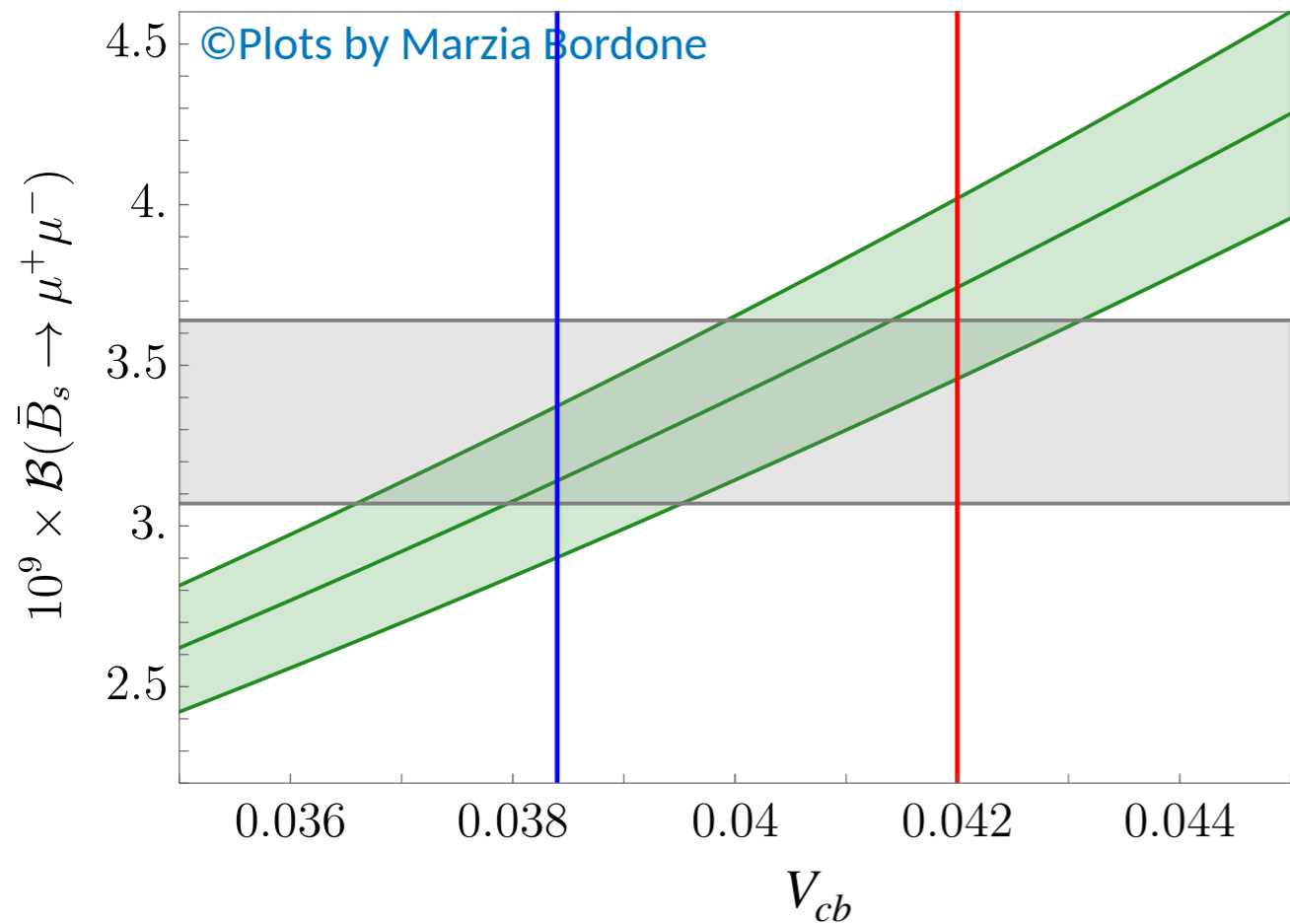


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Theoretically clean.

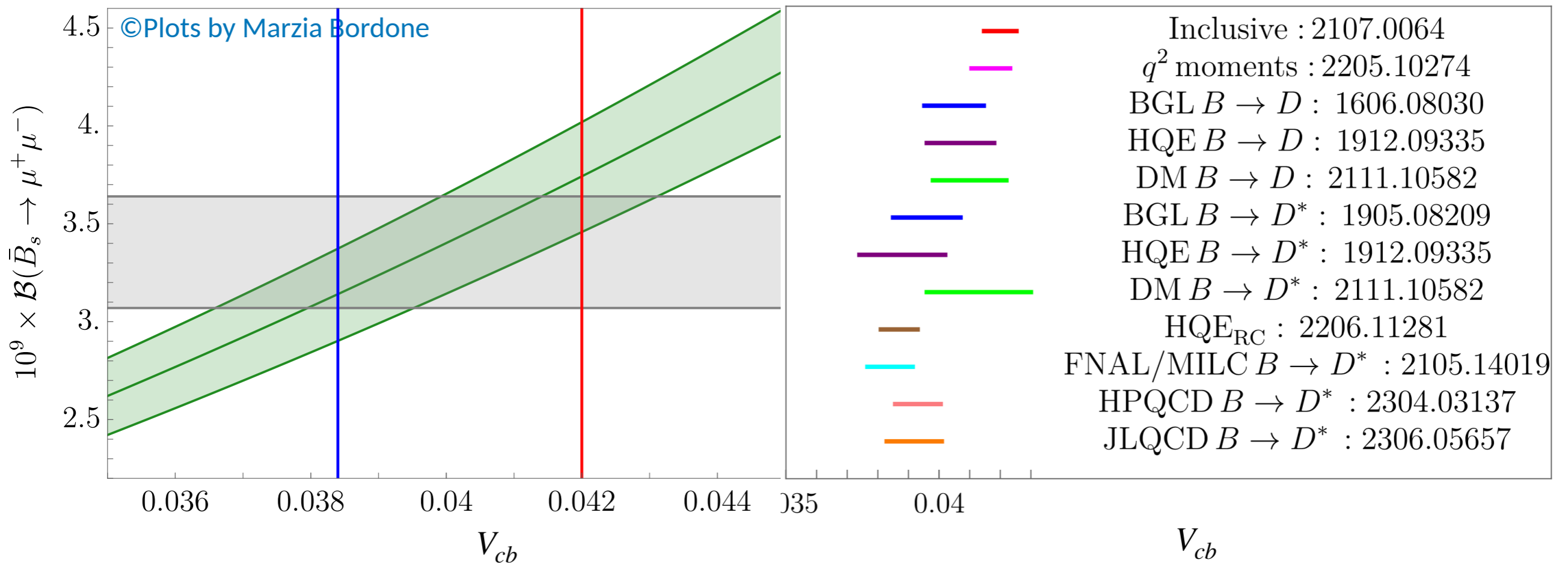
Predictions rely on $B \rightarrow D^{(*)}$ form factors: no problem for $B \rightarrow D$, on going work to understand some inconsistencies for $B \rightarrow D^*$.

The Vcb puzzle



V_{cb} significantly impacts the **prediction** of clean channels, e.g. $B_s \rightarrow \mu^+ \mu^-$ and $B \rightarrow K \nu \bar{\nu}$.

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Inclusive and **exclusive** determinations differ by 3 - 4 σ .

- inclusive consistent across various datasets
- less consensus in the exclusive from $B \rightarrow D^*$; work in progress to understand the various tensions

$b \rightarrow s\mu\mu$

LHC data offer incredible access to the $b \rightarrow s\mu\mu$ system:

μ/e universality ratios,

differential BRs,

angular obs.

for many different modes

$$\frac{\text{BR}(H_b \rightarrow H_s \mu^+ \mu^-)}{\text{BR}(H_b \rightarrow H_s e^+ e^-)}$$

$$\frac{d\text{BR}(H_b \rightarrow H_s \mu^+ \mu^-)}{dq^2}$$

$$P'_5, A_{\text{FB}} \dots$$

$$H_b: B^+, B^0, B_s^0, \Lambda_b$$

$$H_s: K^+, K^0, K^{*+}, K^{*0}, \phi, \rho K^-$$

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$$\frac{d\text{BR}(H_b \rightarrow H_s \mu^+ \mu^-)}{dq^2}$$

$$P'_5, A_{\text{FB}} \dots$$

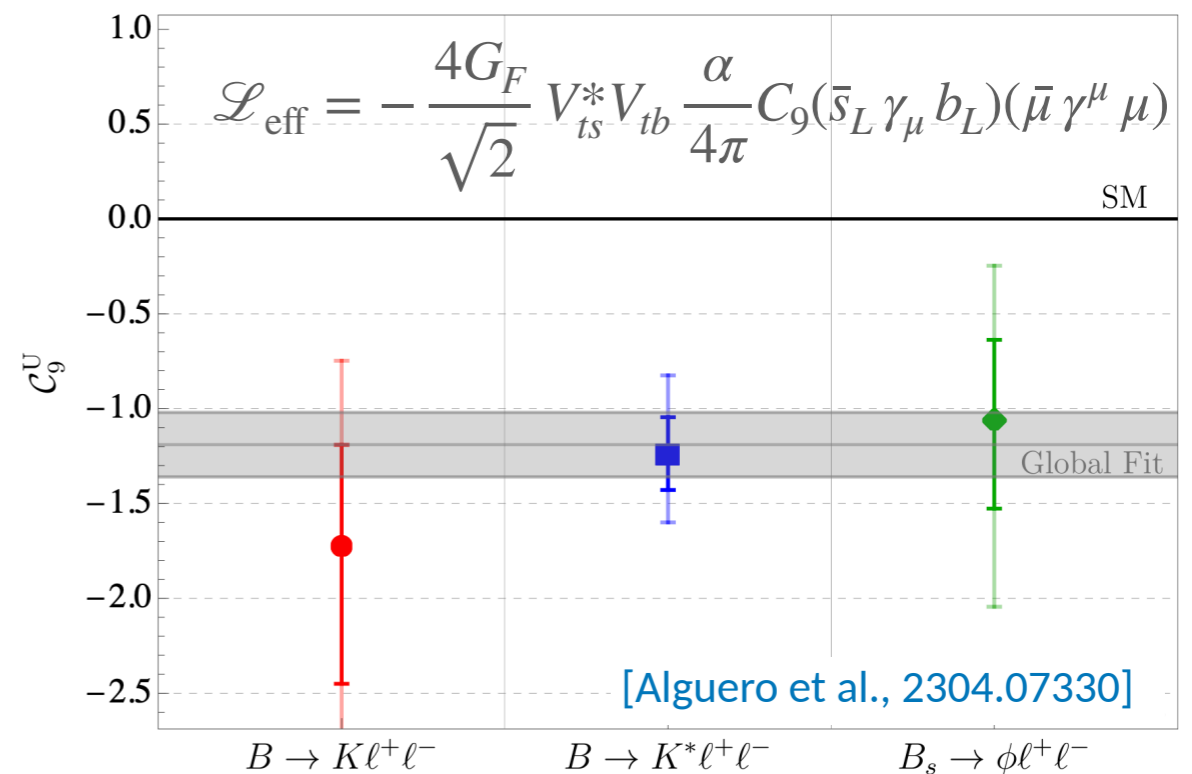
$$H_b: B^+, B^0, B_s^0, \Lambda_b$$

$$H_s: K^+, K^0, K^{*+}, K^{*0}, \phi, \rho K^-$$

Persisting **tensions** in several branching fractions and in the $B \rightarrow K^*$ angular analysis.

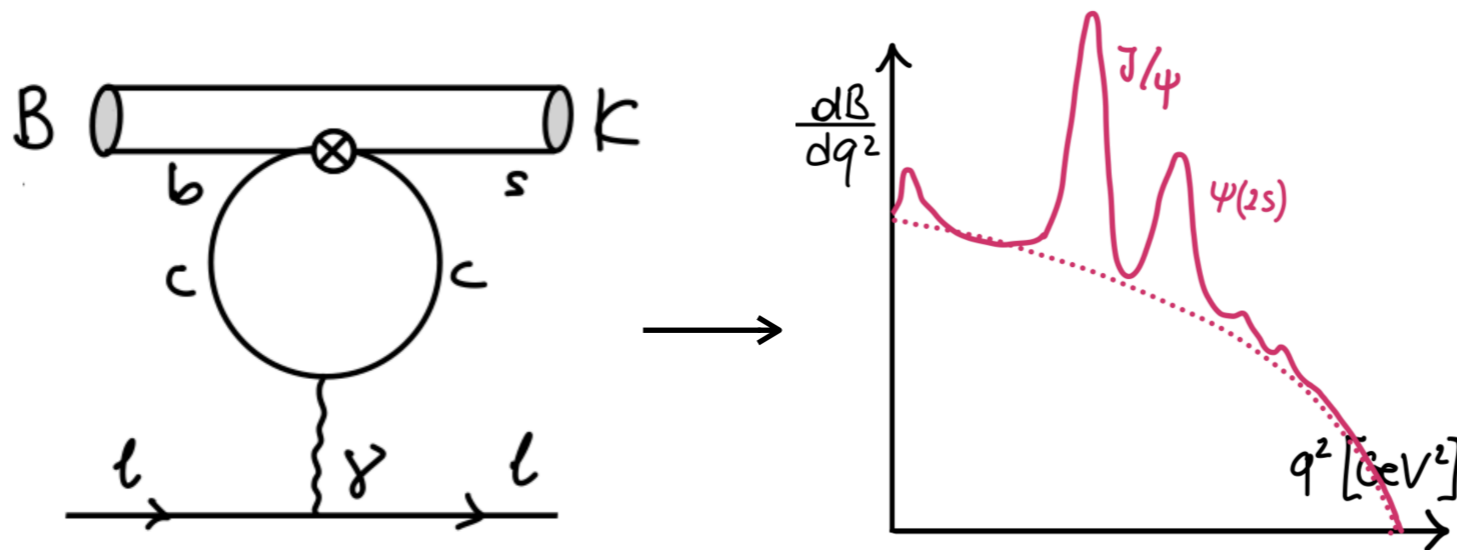
BSM explanation requires $C_9^U \sim 0.25 C_9^{\text{SM}}$

NP or underestimated hadronic contribution?



Disentangling long-distance and NP in $b \rightarrow s\mu\mu$

[see Eluned Smith's talk]



Ongoing theory and experimental effort to **disentangle long-distance** and **NP**:

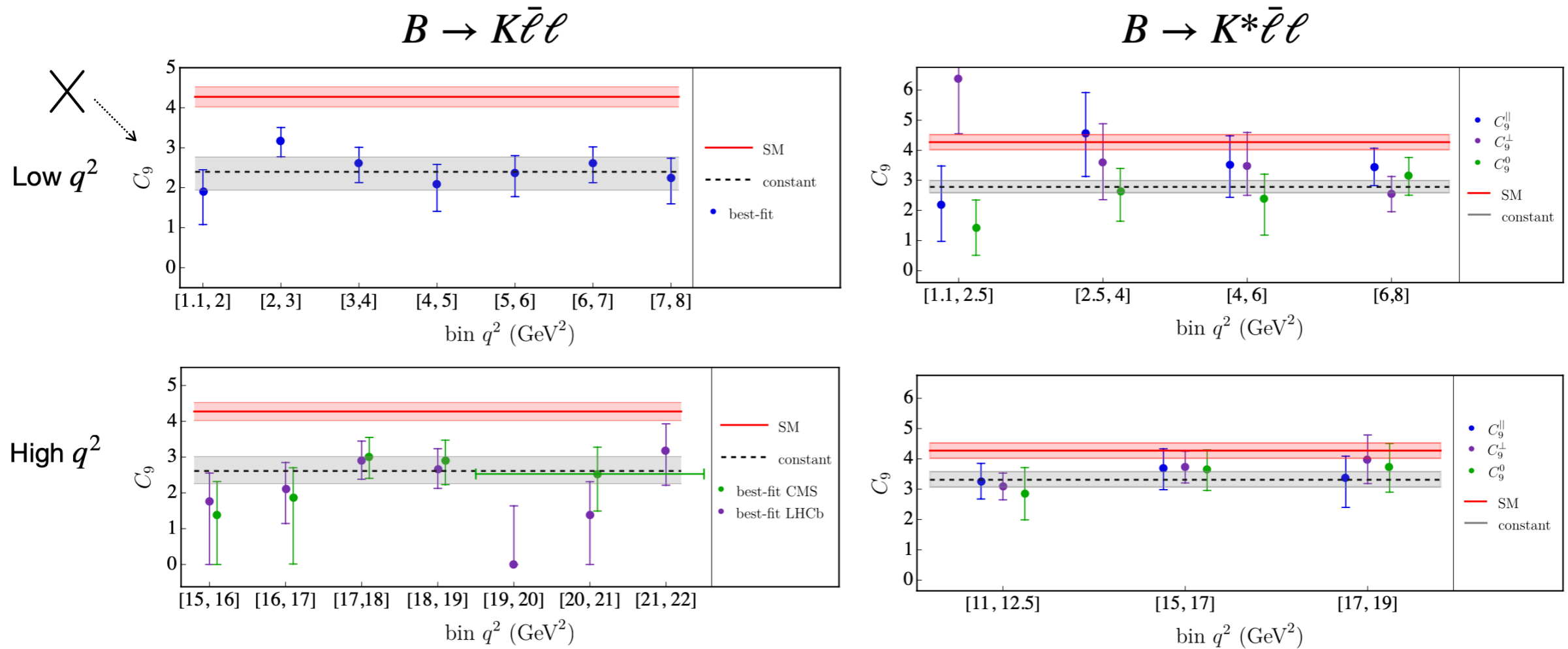
- **parametrize** long-distance with dispersion methods/z expansion
- **fit** to q^2 spectrum
- **extract** residual amplitude

$$C_g(q^2) = \underbrace{C_g^{SM}}_{\text{known}} + \underbrace{Y(q^2)}_{\text{parametrized}} + \underbrace{Y(q^2)}_{\text{possibly unaccounted for}} + \underbrace{C_g^{NP}}_{\text{what we would like to know}}$$

$\underbrace{\hspace{15em}}_{X(q^2)}$

Long distance
 short distance

Disentangling long-distance QCD and NP in $b\text{sll}$



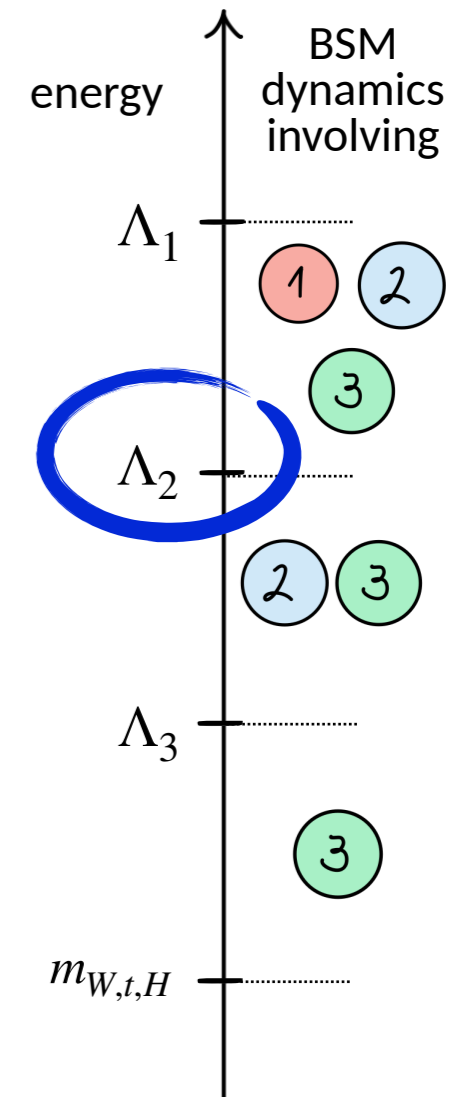
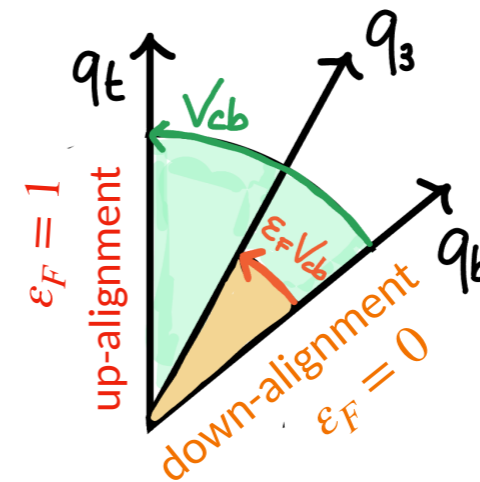
[Bordone, Isidori, Mächler, Tinari 2401.18007]

- result seems independent of q^2 (and λ for K^*)
- cannot exclude sizeable long-distance effects with little q^2 and λ dependence.
 HHChiPT estimate suggests $D^* D_s / D_s^* D^*$ rescattering is too small to mimic $C_9^U \sim 0.25 C_9^{\text{SM}}$

Indirect searches with Kaons

Rare kaon decays ($s \rightarrow d$ FCNCs)

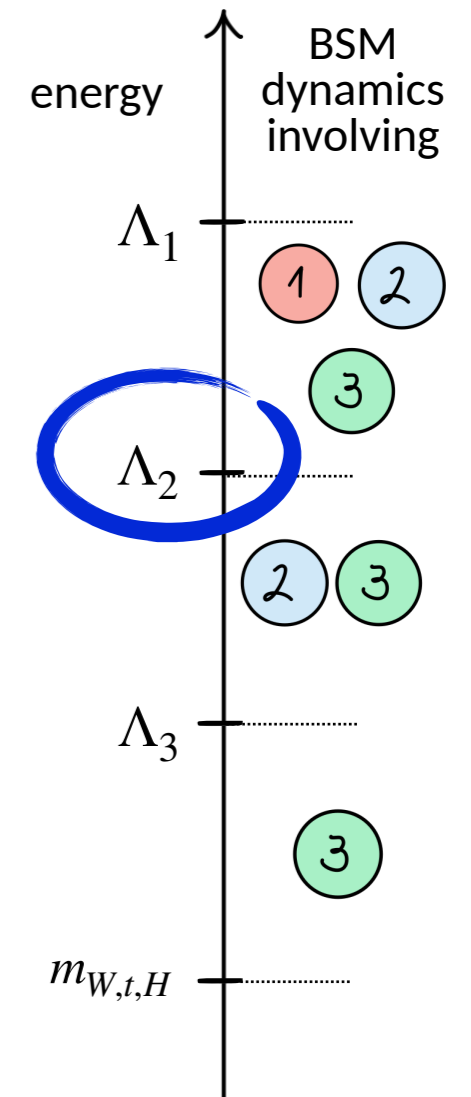
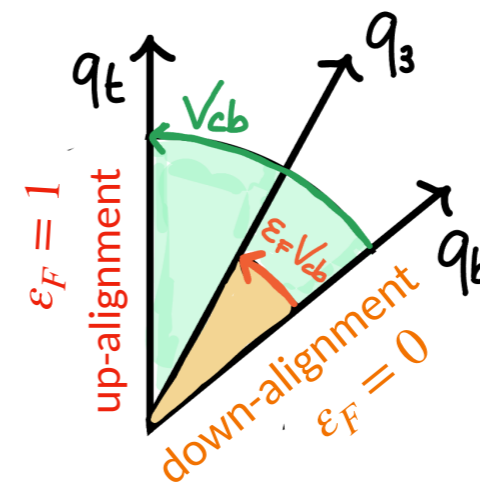
- complementary to $b \rightarrow s$ in determining the orientation of 3rd family in flavor space
- allow us to probe $U(2)_{q,d}$ breaking in the 21 sector, related to the “next threshold”, Λ_2
- For NP modes with a CKM-like structure, typically correlated with $B \rightarrow K\nu\bar{\nu}$



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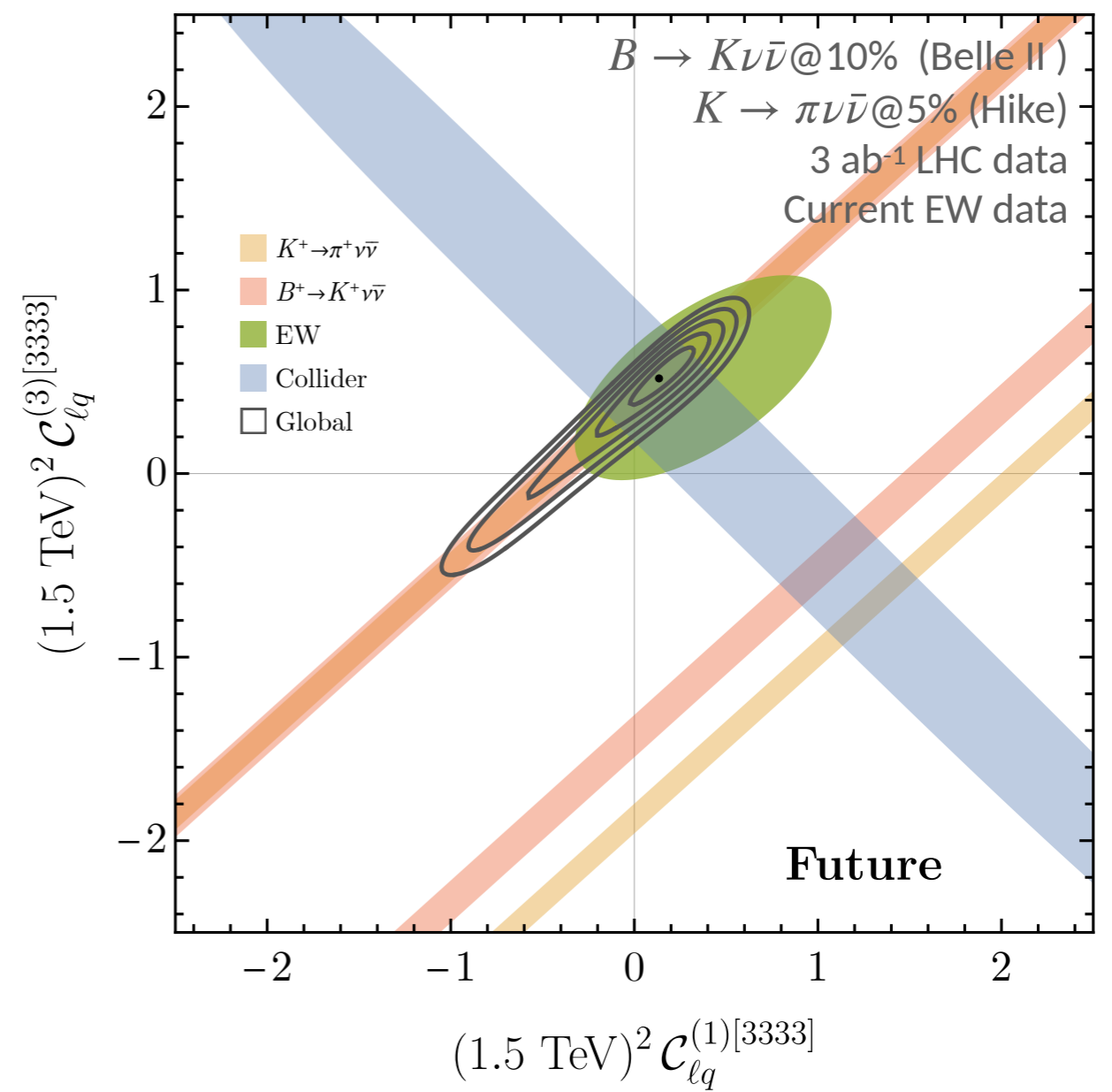
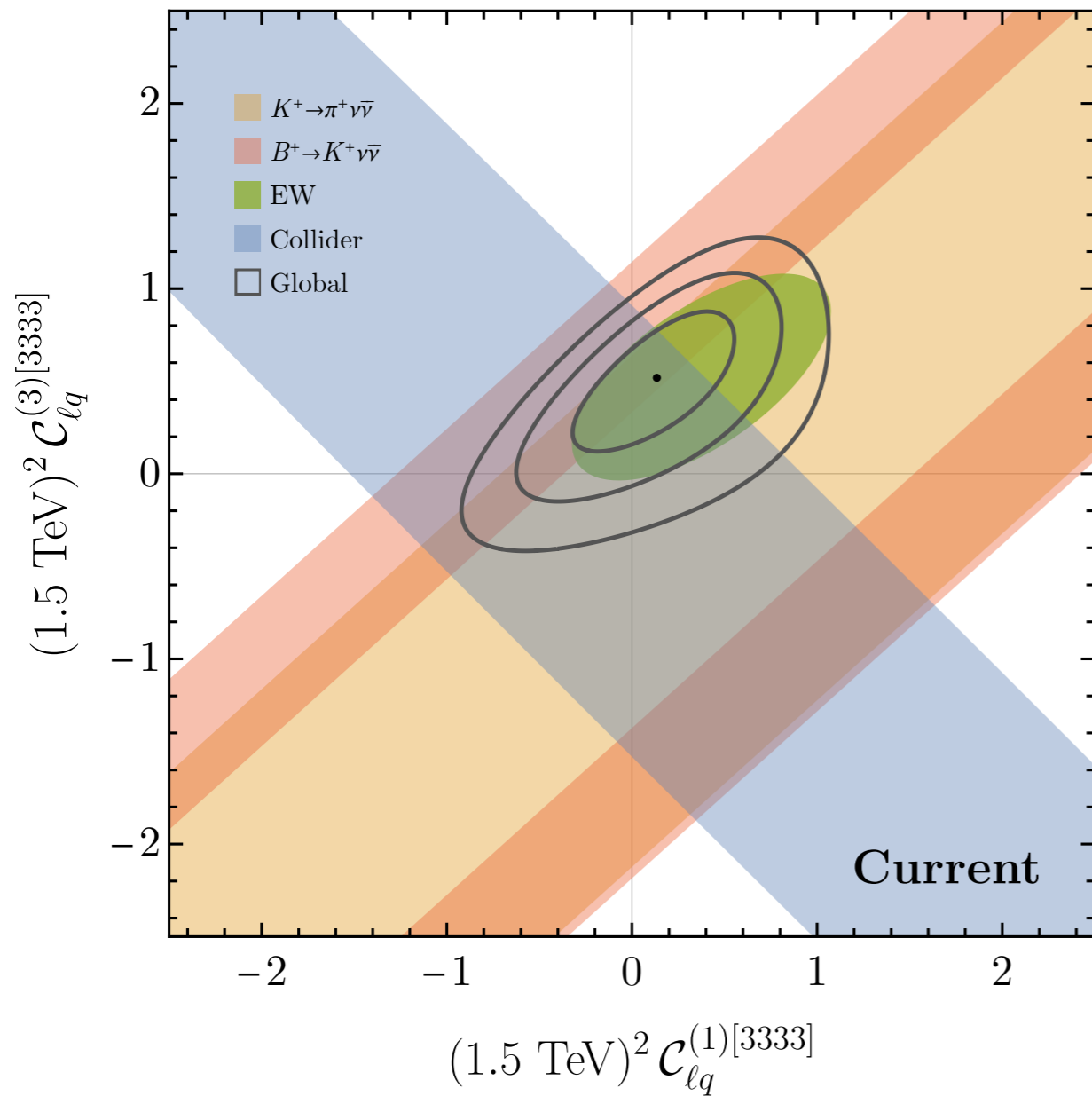


$K^+ \rightarrow \pi^+ \nu \bar{\nu}$ is special:

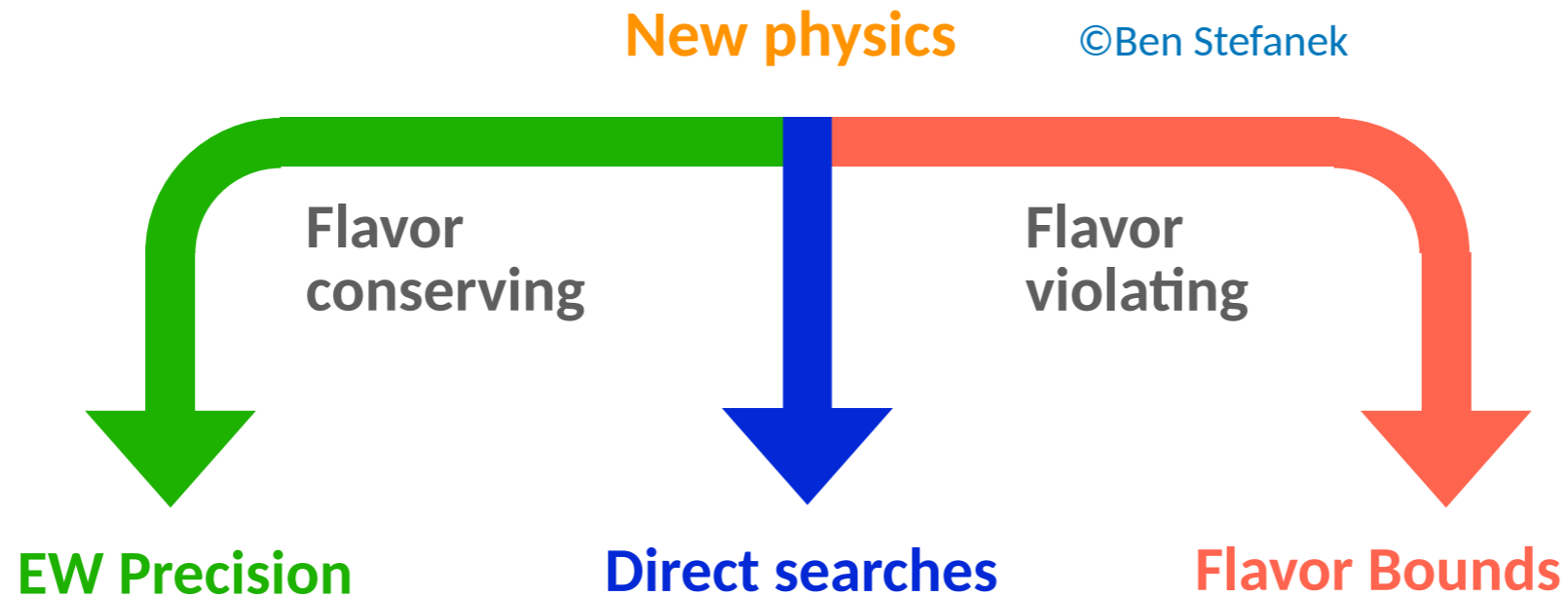
- only rare K decay from which short distance information is accessible
- sole opportunity to get a clean B vs K comparison in the same transition, if similar precision ($\sim 10\%$) is achieved

Combining flavor, collider and electroweak

[Allwicher, CC, Isidori, Stefaneke, 2311.00020]



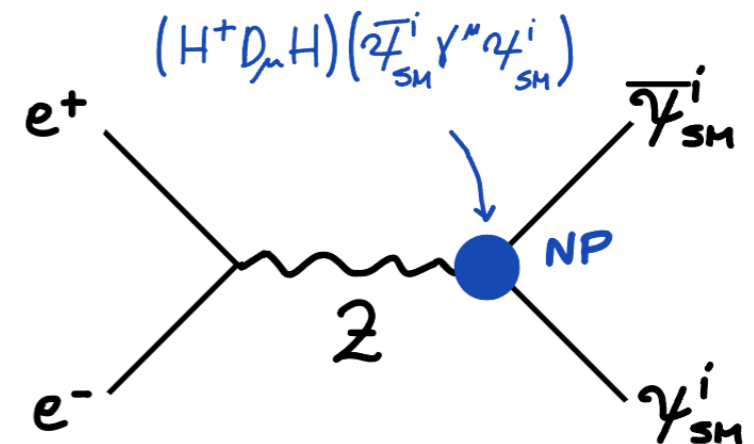
Electroweak Precision as a Flavor Probe



3rd family NP is “protected” against direct searches at the LHC & flavor bounds, but not against **EW precision tests**.

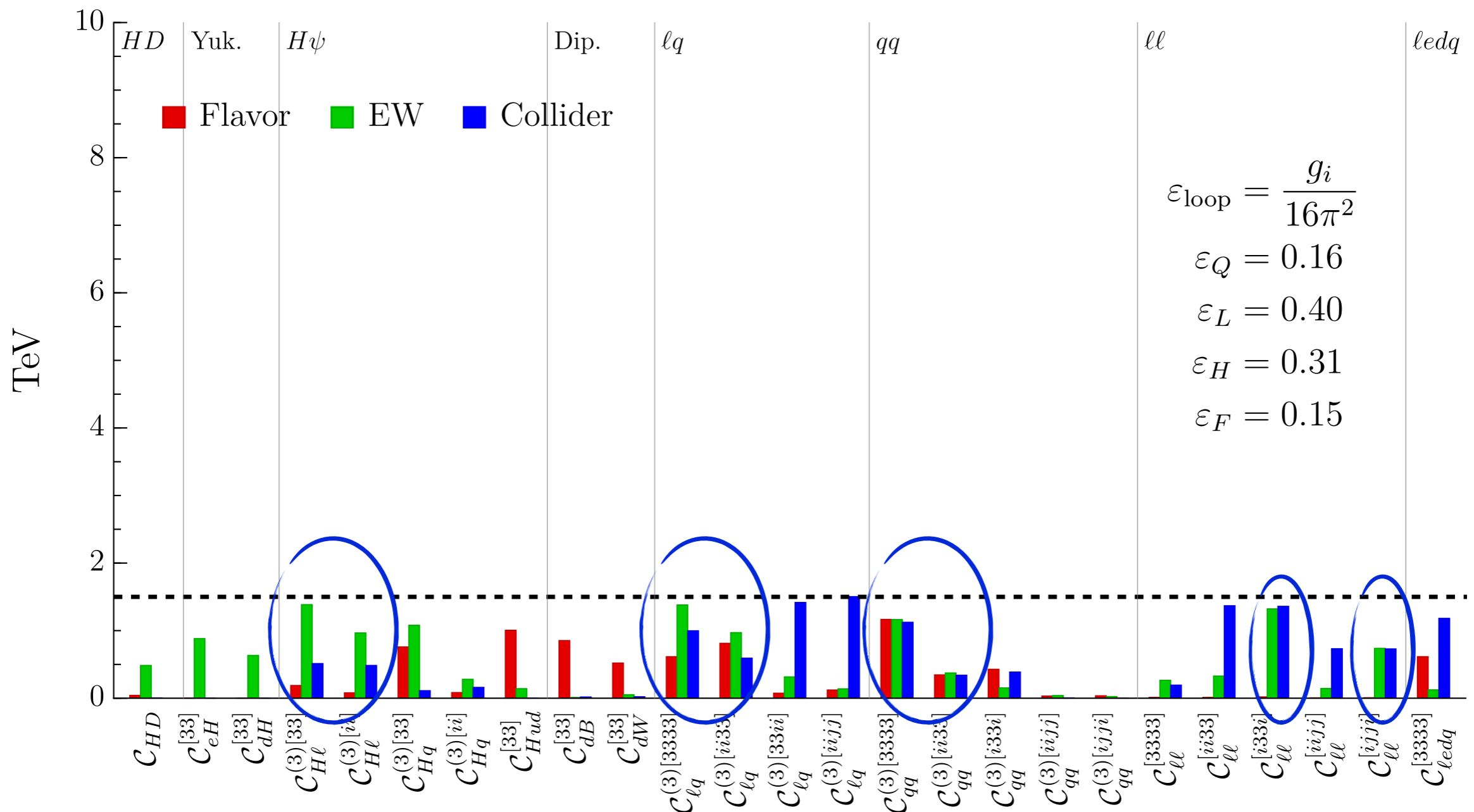
At a Z factory, we can use the flavor blindness of the SM gauge interactions to indirectly probe NP coupled to **any** generation.

⇒ EWPT are powerful probes of flavor non-universality



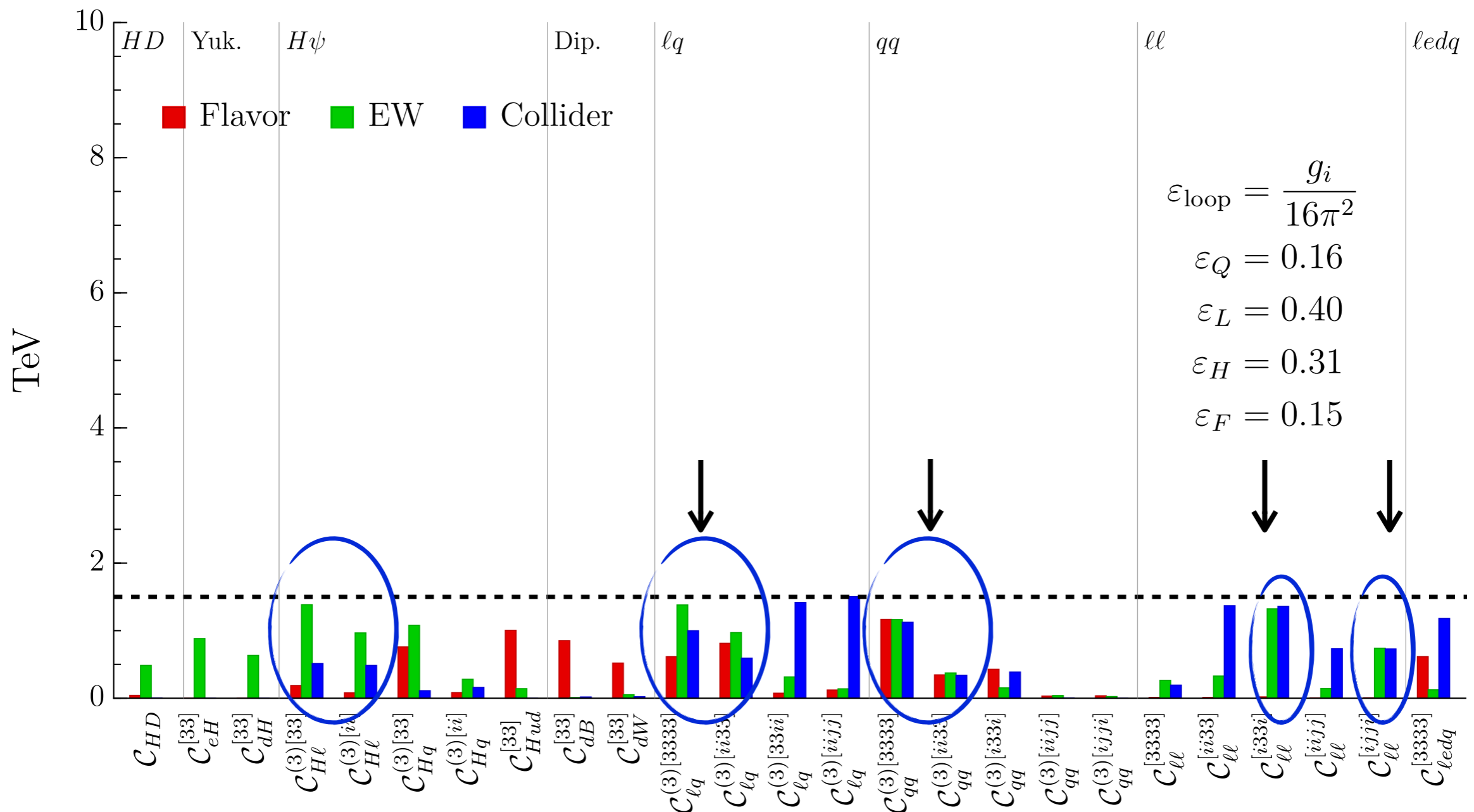
Perspectives at Tera Z: EW precision tests

⇒ LEP bounds have a strength **comparable** to current **direct searches** for operators involving mostly the 3rd generation!



Perspectives at Tera Z: EW precision tests

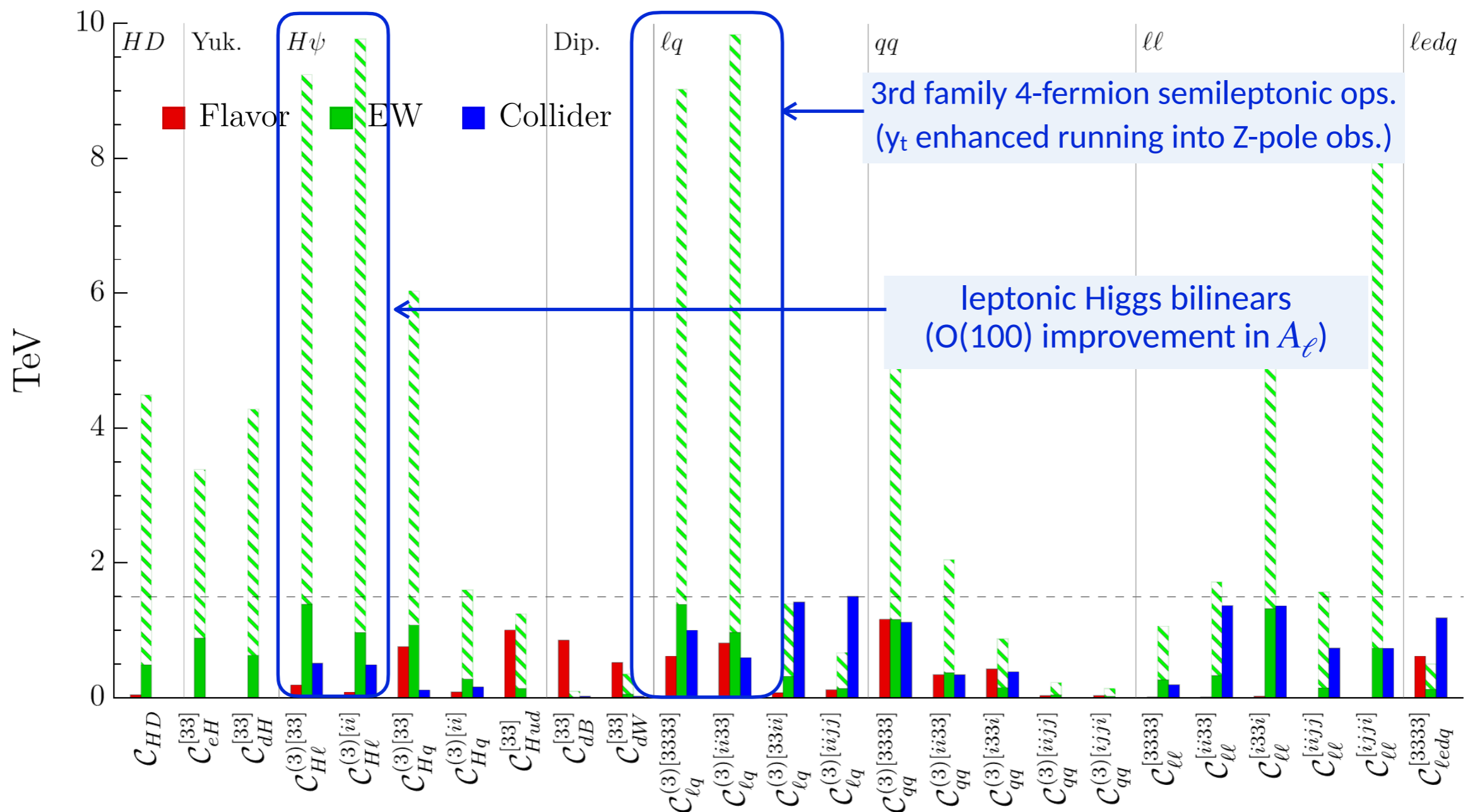
⇒ LEP bounds have a strength **comparable** to current **direct searches** for operators involving mostly the 3rd generation!



Perspectives at Tera Z: EW precision tests

⇒ LEP bounds have a strength **comparable** to current **direct searches** for operators involving mostly the 3rd generation!

With $\approx 10^5$ more Z bosons than LEP, a tera-Z machine could probe 3rd-family NP up to **~ 10 TeV!**



Perspectives at Tera Z: heavy flavors

A tera-Z machine is a powerful **heavy-flavor factory**. For **FCC-ee**:

Particle production (10^9)	B^0/\bar{B}^0	B^+/B^-	B_s^0/\bar{B}_s^0	B_c^+/\bar{B}_c^-	$\Lambda_b/\bar{\Lambda}_b$	$c\bar{c}$	$\tau^+\tau^-$
Belle II	27.5	27.5	n/a	n/a	n/a	65	45
FCC-ee	620	620	150	4	130	600	170

[FCC Snowmass Summary, 2203.06520]

Clean environment and **boosted** topologies are **advantages** with respect to Belle II & LHCb

Will allow for major advancement in B & tau physics. Among others:

- precise measurements of $b \rightarrow s\tau\tau$ & $b \rightarrow s\nu\nu$, incl. $b \rightarrow d$ counterpart
e.g. $B \rightarrow K\tau\tau$: if SM-like, few \cdot 1000 reconstructed decays \rightarrow O(5%) precision on BR!
- access to heavier b-hadrons: B_c, B_s, Λ_b
- LFU tests in τ decays at the 10^{-4} level

Conclusions

LHC NP at **TeV scale** requires flavor protection. Models with **NP coupled mostly to the 3rd family** are the **closest target**, and have a strong theoretical motivation.

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- direct 3rd family searches
- precision measurements in B, K and tau decays

These are the best path to discovery until the next collider.

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Looking forward, a tera-Z machine like FCC-ee is ideal in testing these scenarios

- unprecedentedly precise **EWPT** that cannot be bypassed by flavor symmetries
- major advancements in **tau** and **B physics**, with access to new channels

If we firmly establish **any** anomaly, it will help design a future hadron collider, potentially creating a no-lose situation for **FCCh**.