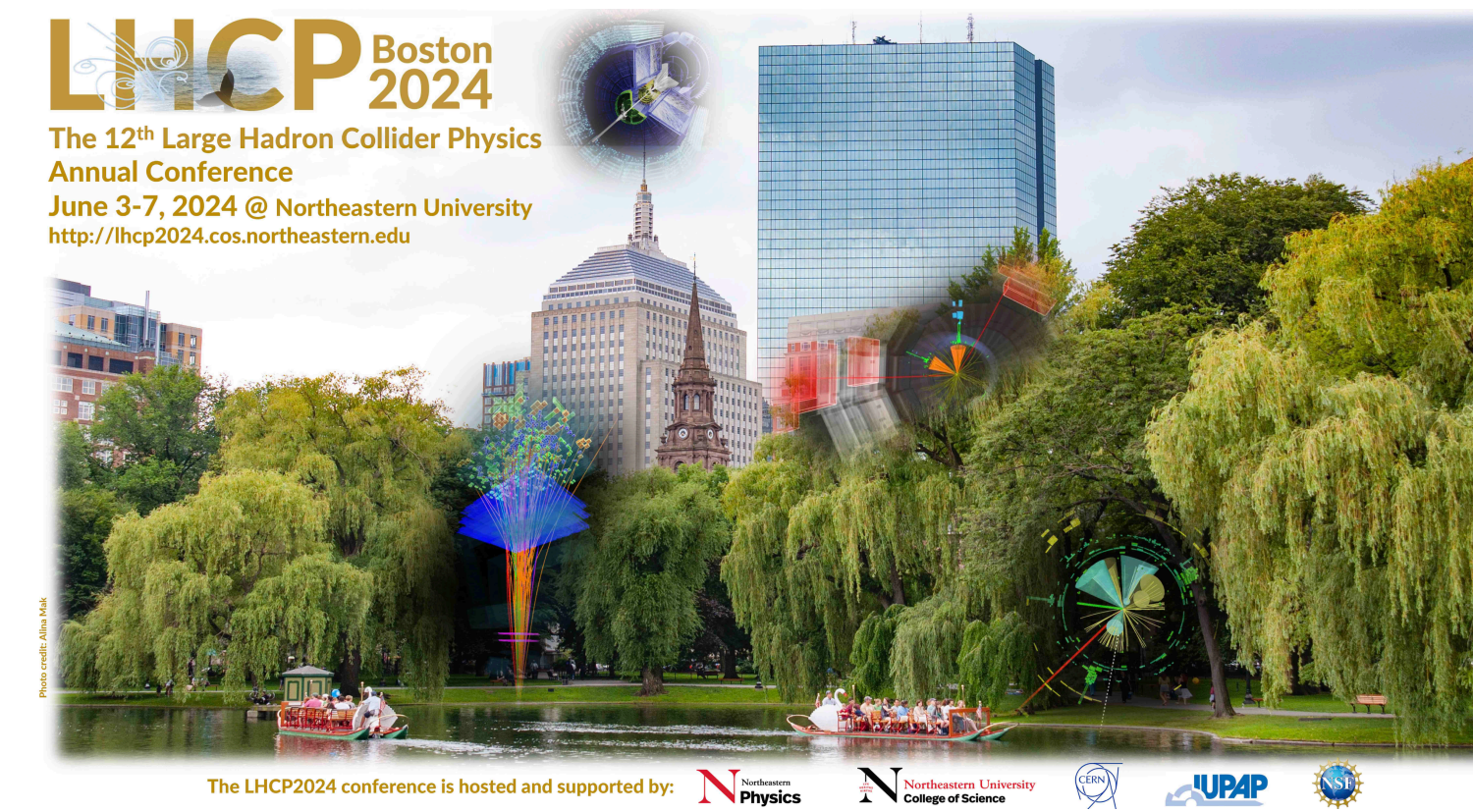


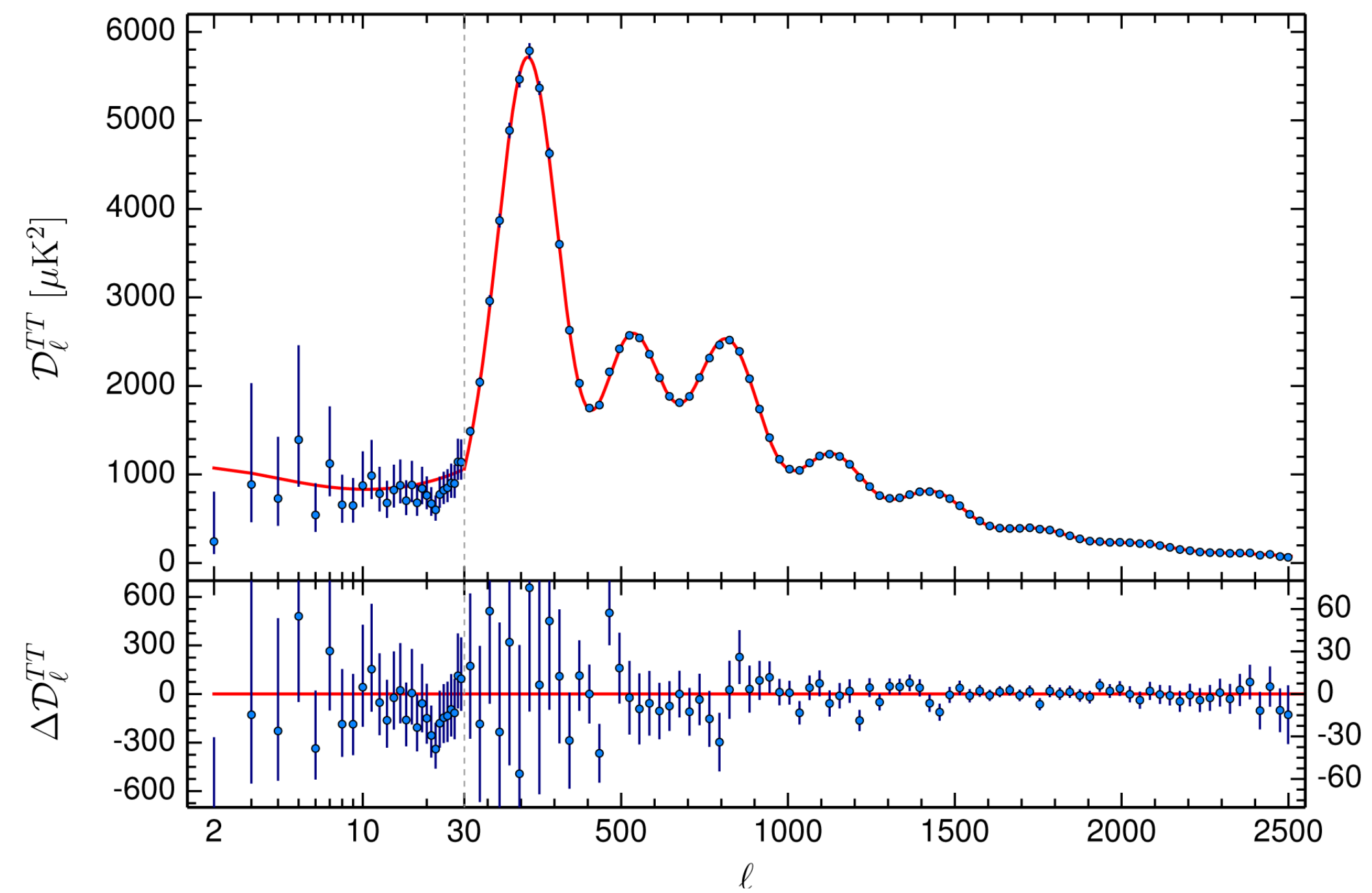
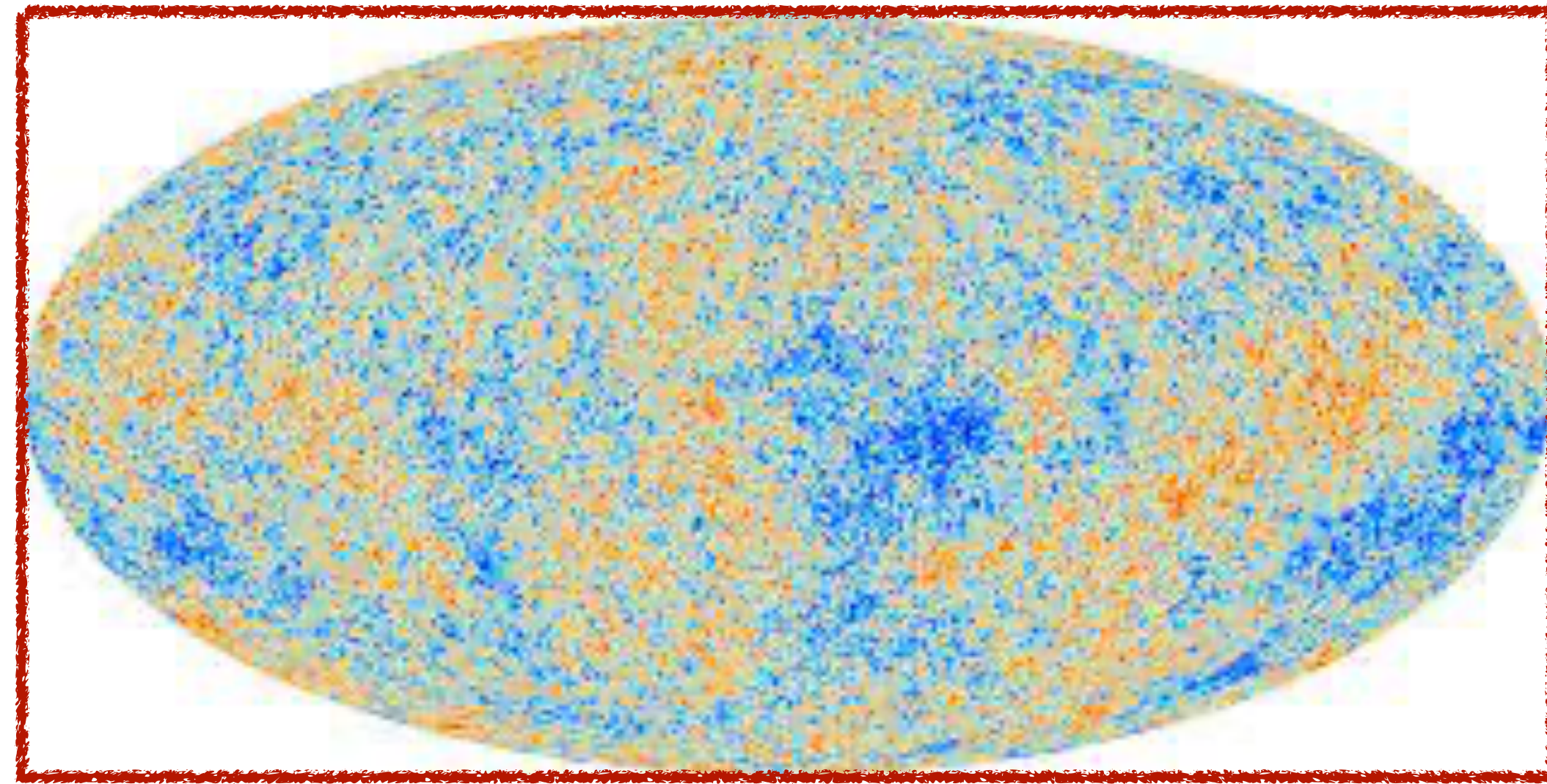
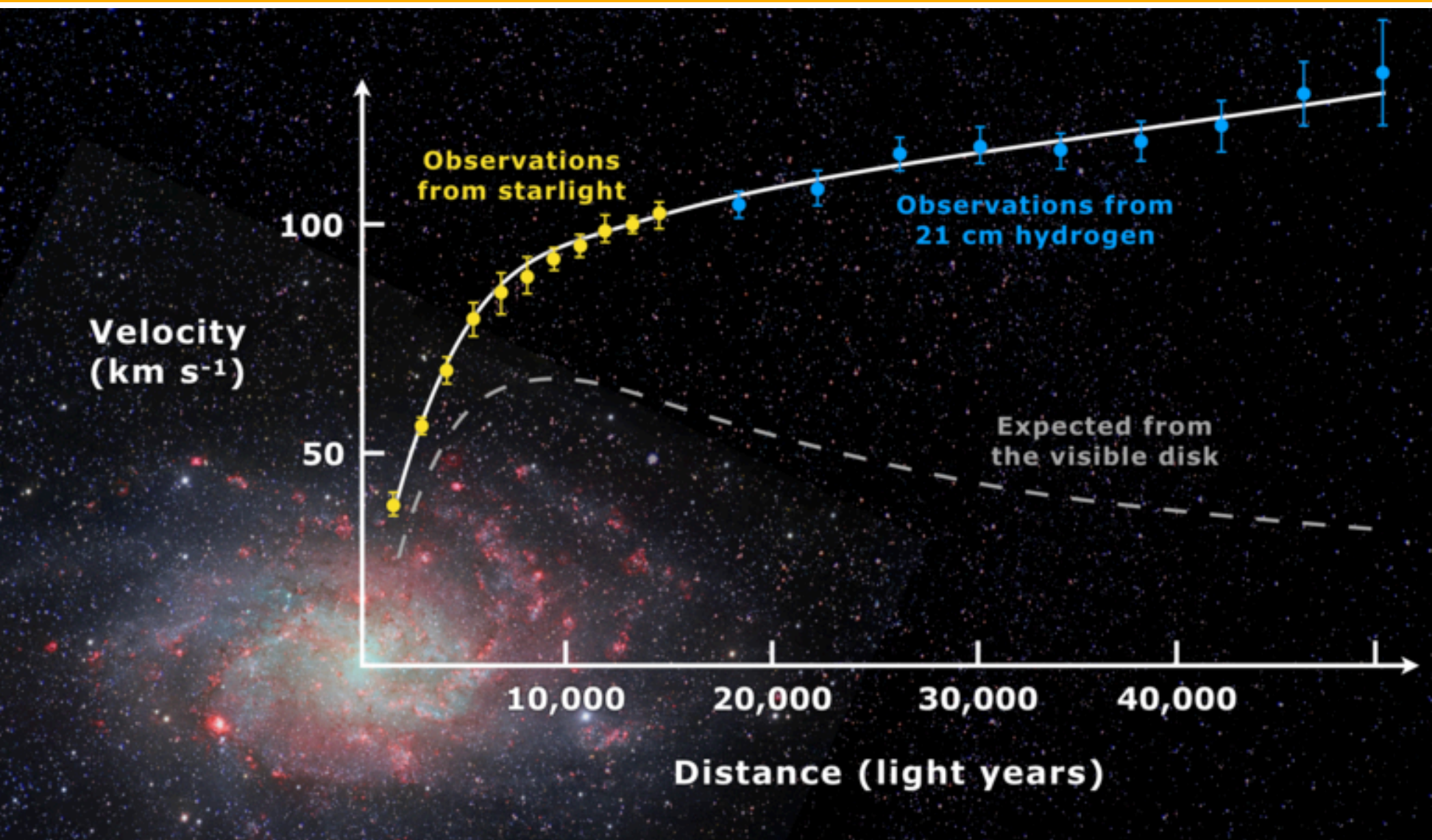
Collider Probes of TeV Scale Dark Sector

Dipan Sengupta

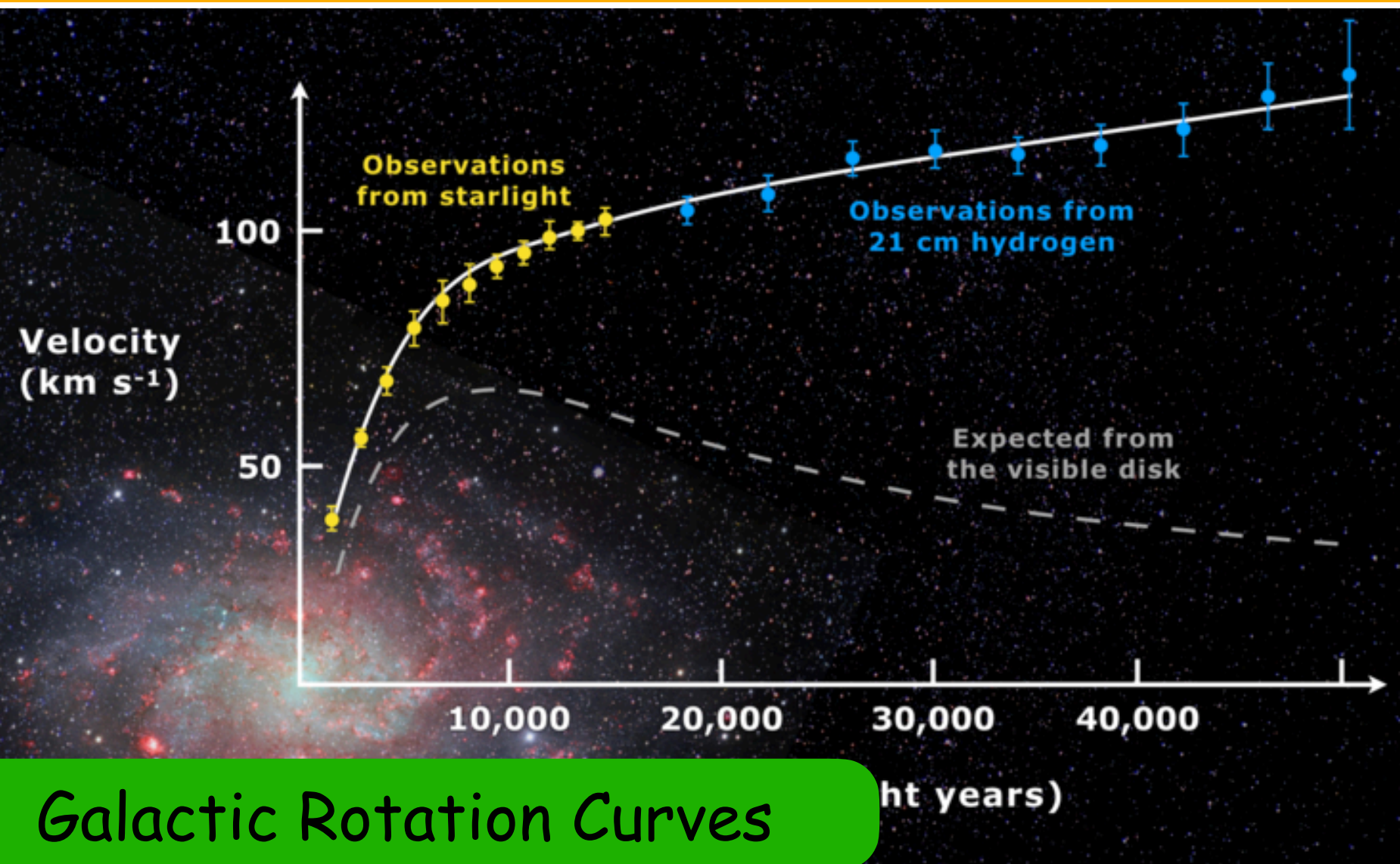
University of New South Wales, Sydney



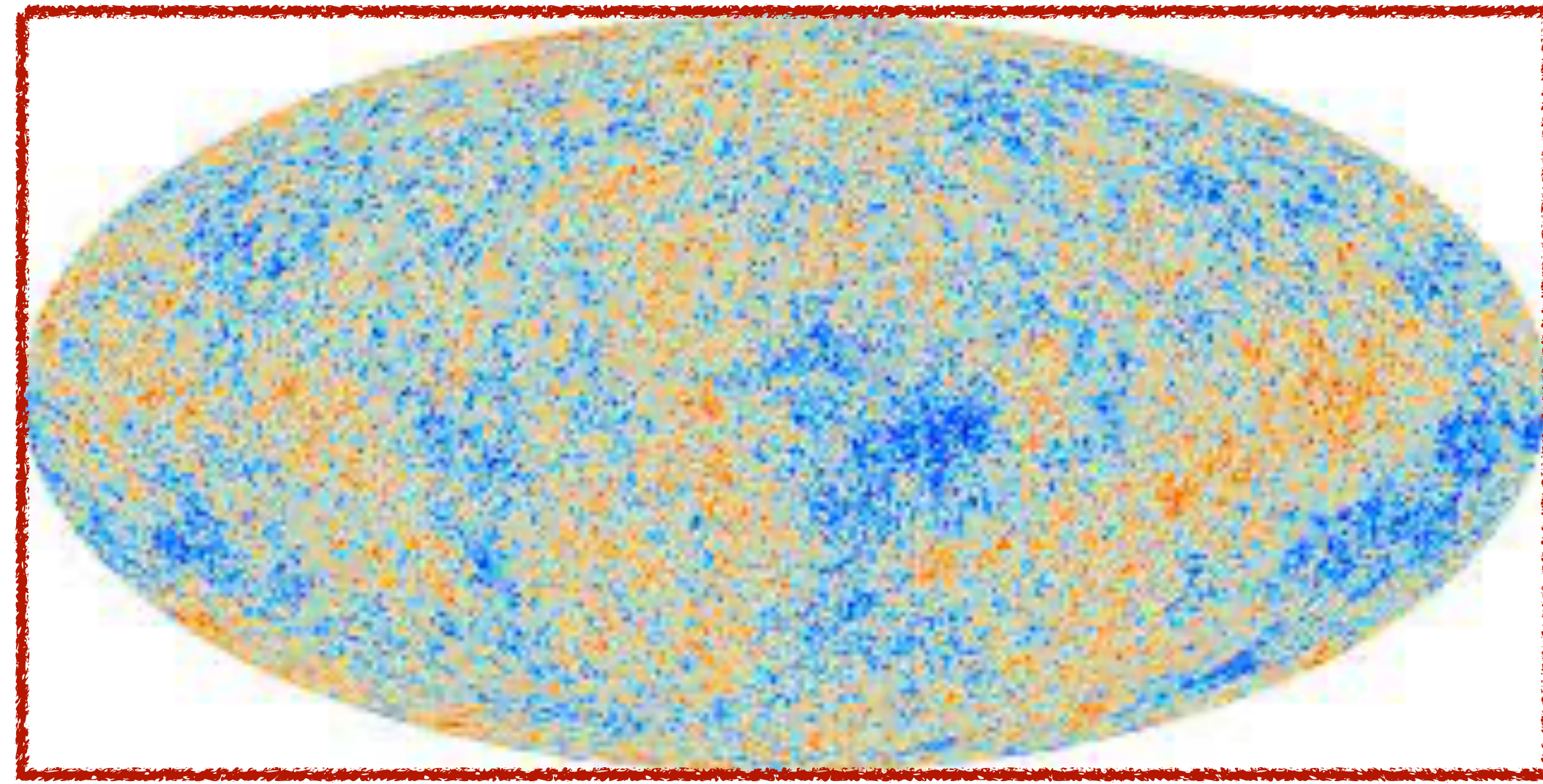
Dark Matter through the ages



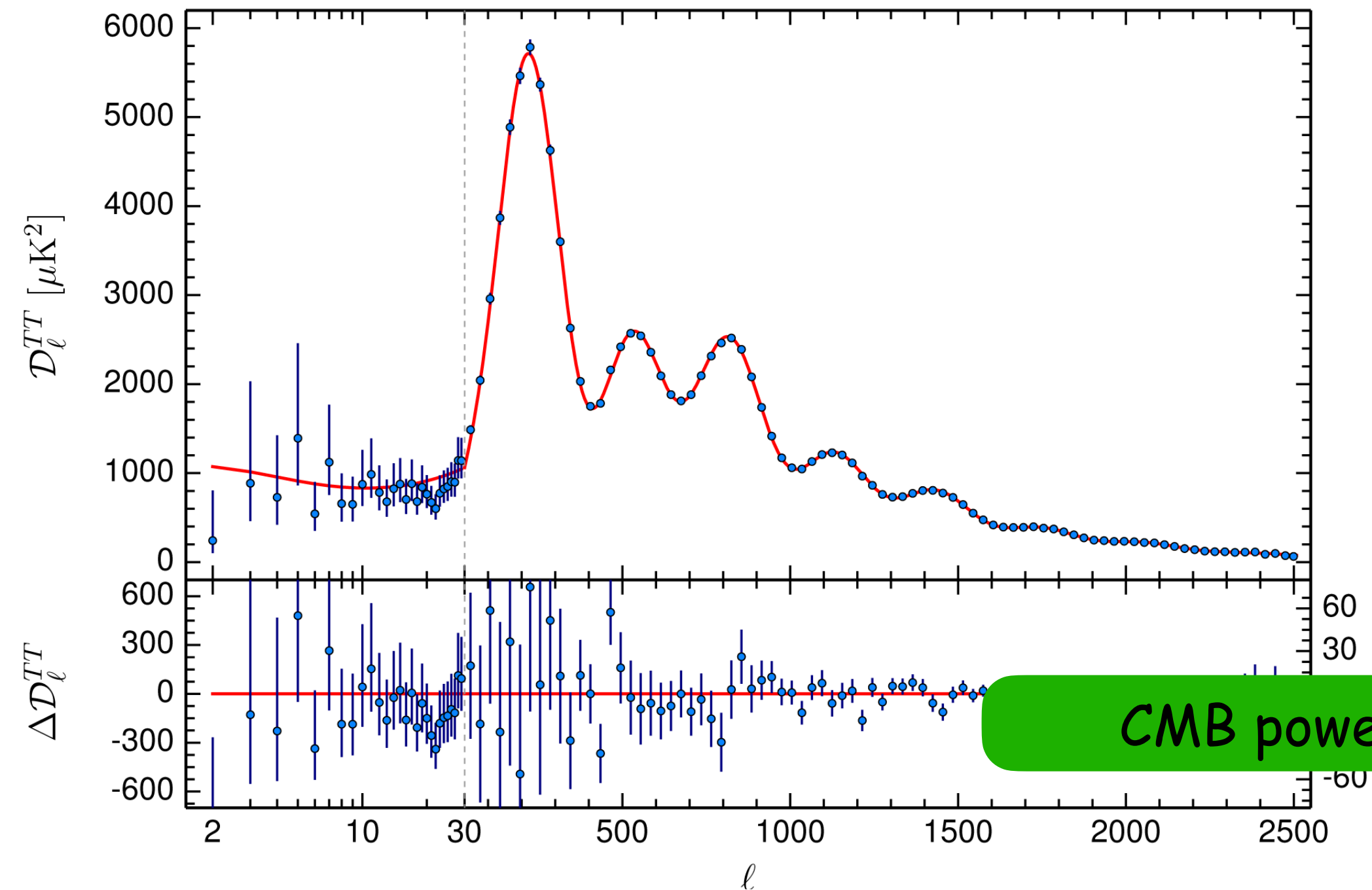
Dark Matter through the ages



Galactic Rotation Curves

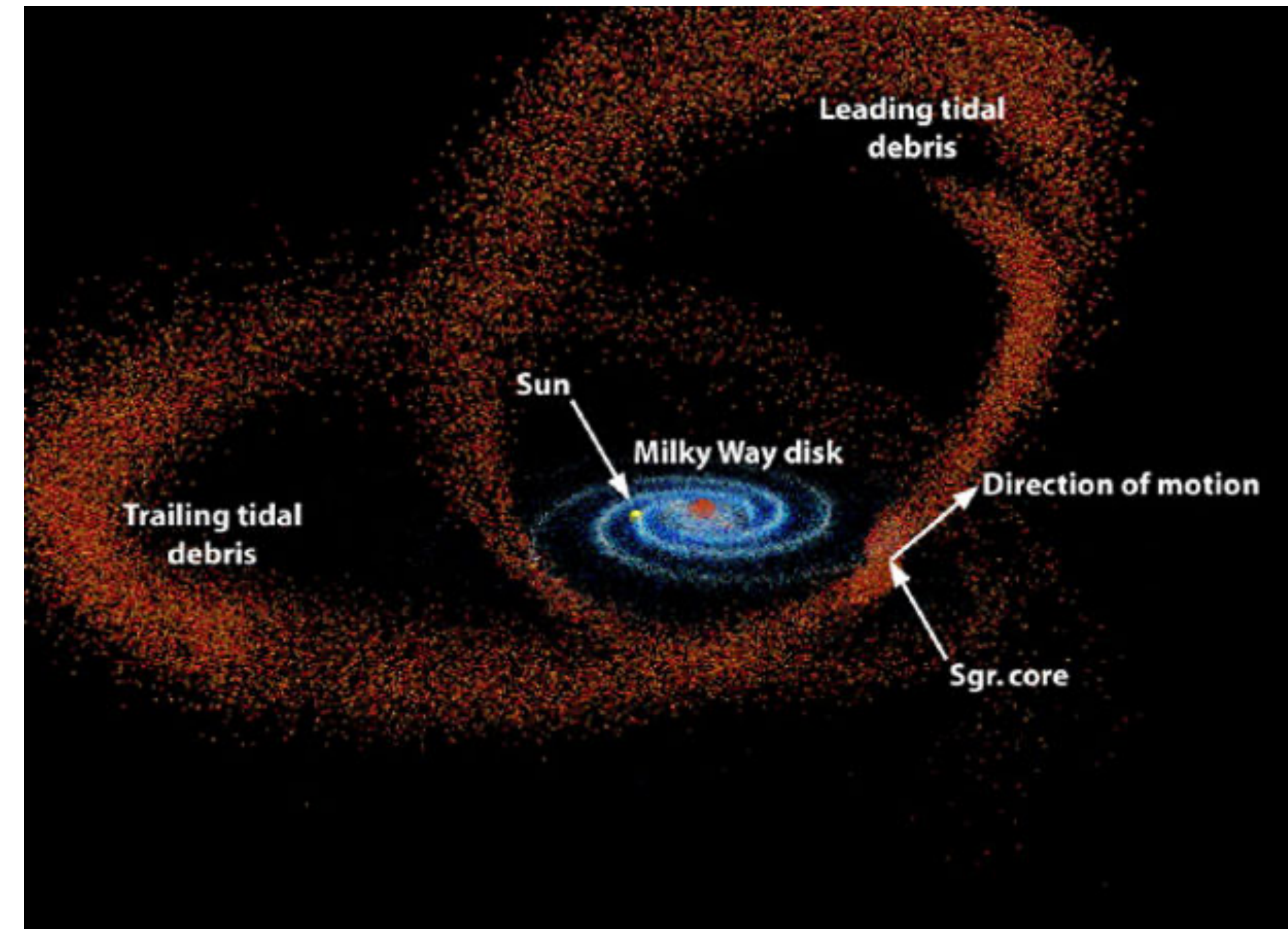
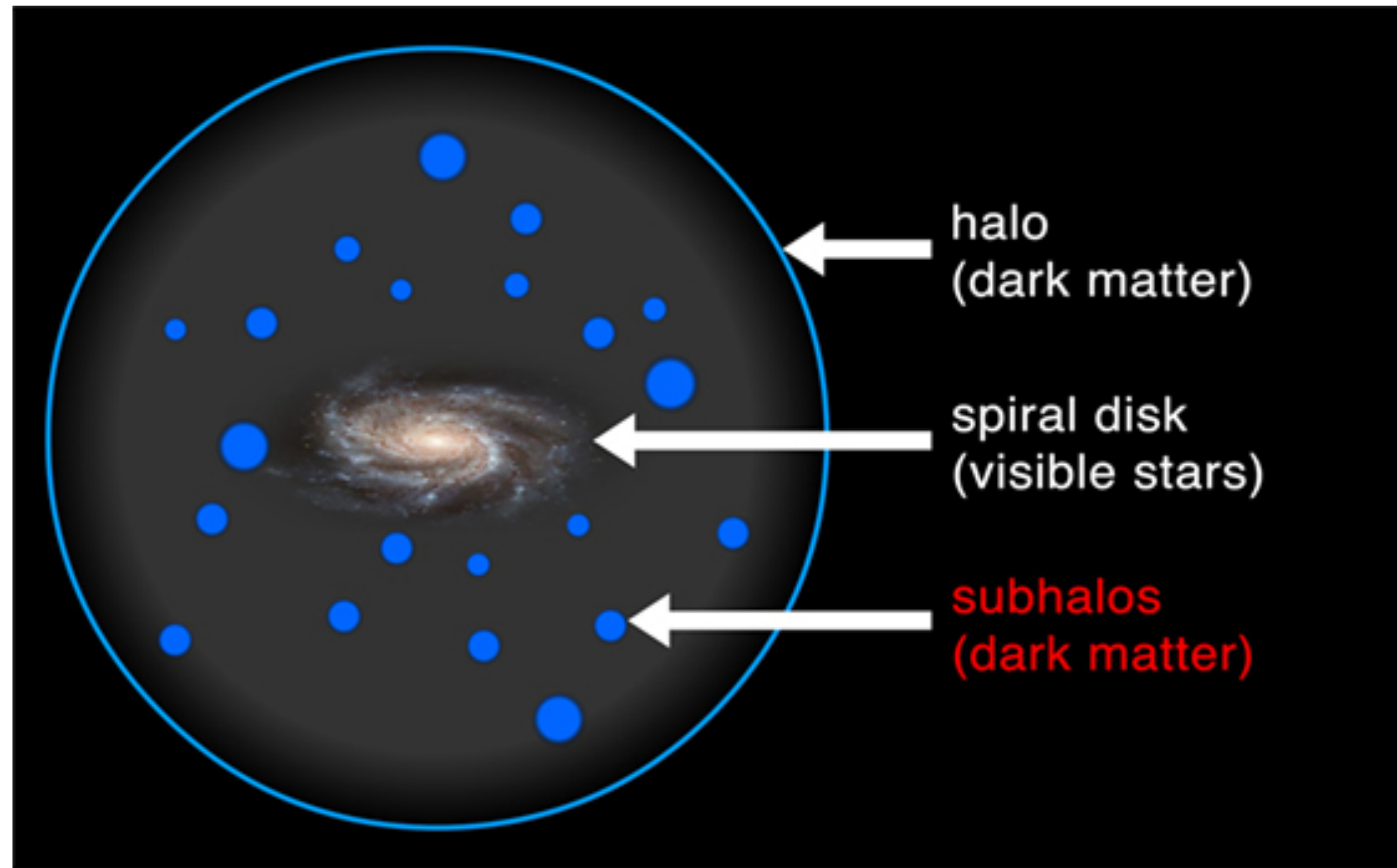


Gravitational Lensing in Bullet Cluster .
Pink- X-Ray image
Blue : Gravitational lensing image



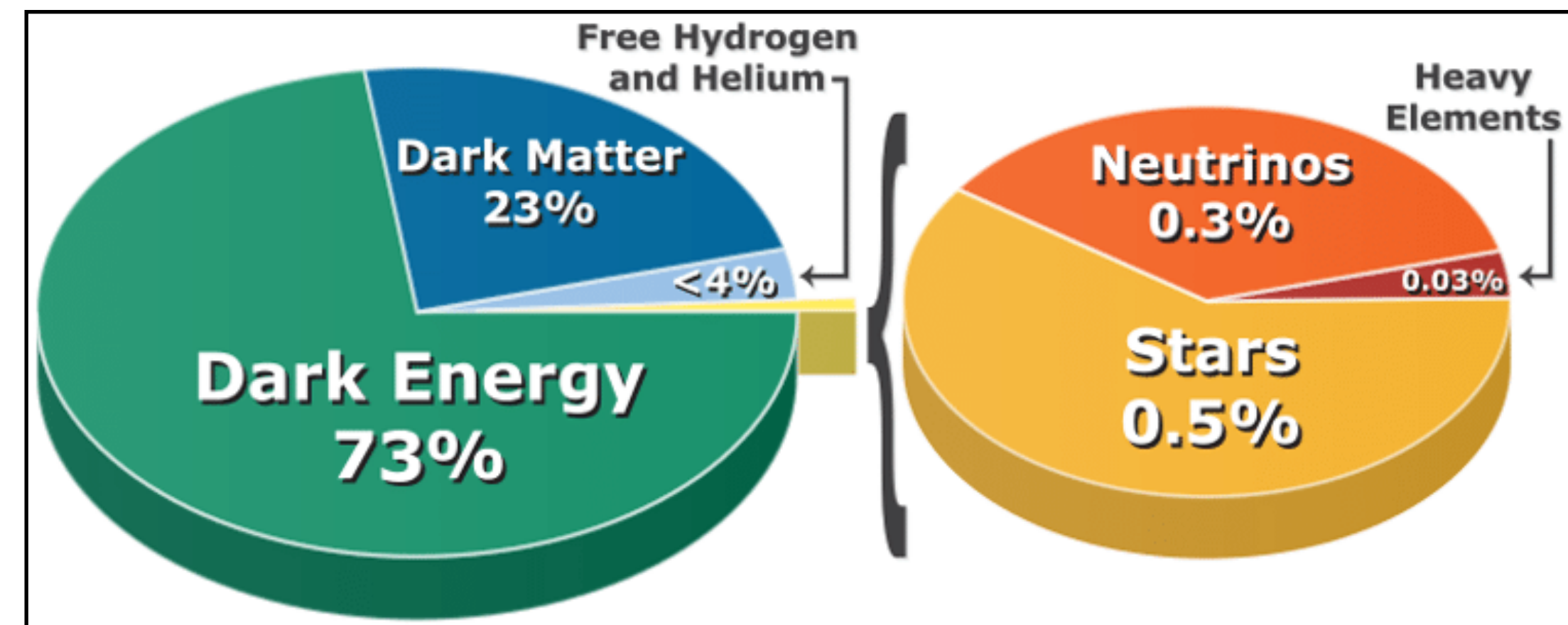
CMB power spectrum

Properties and the Particle Physics of Dark Matter

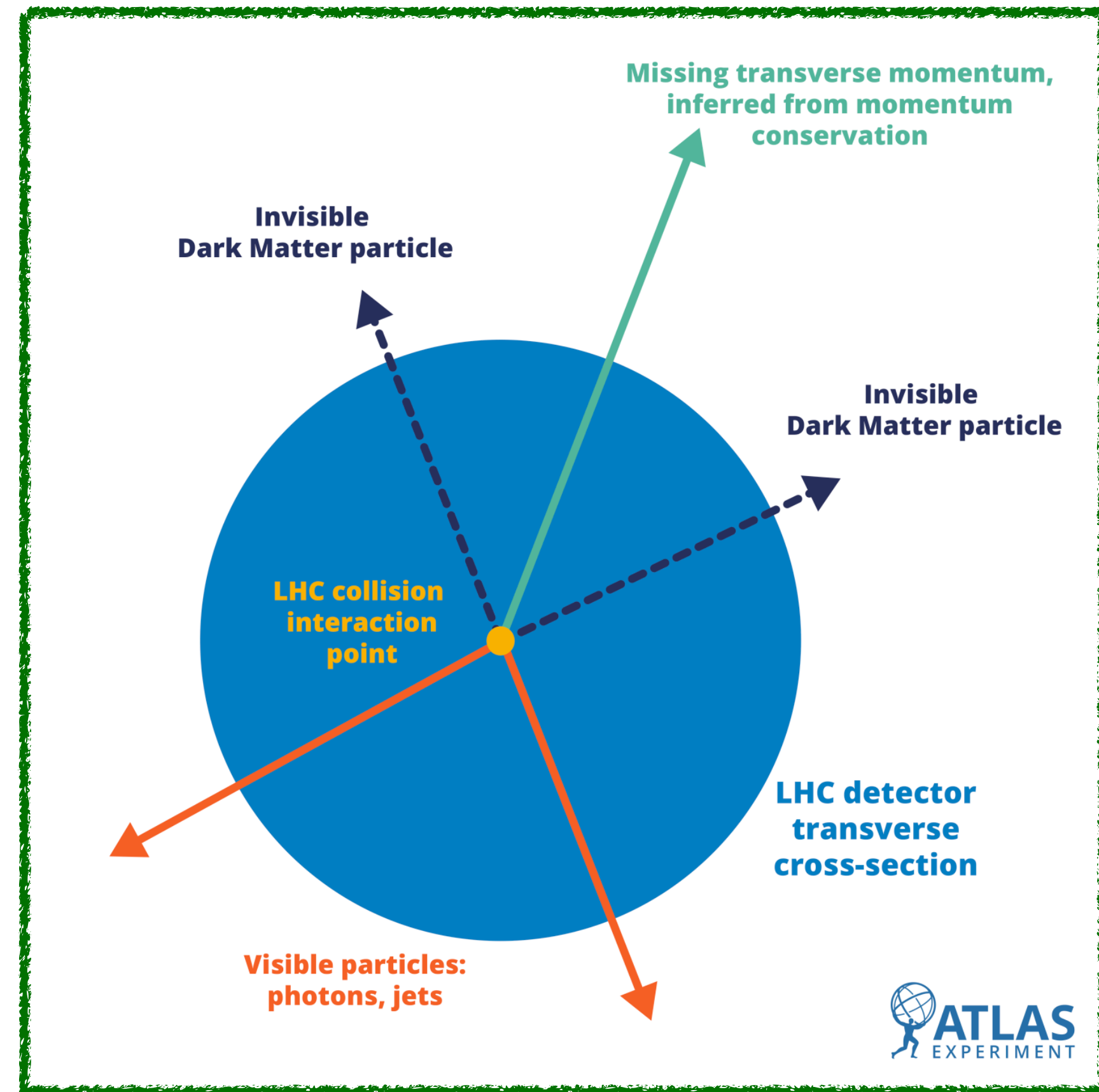
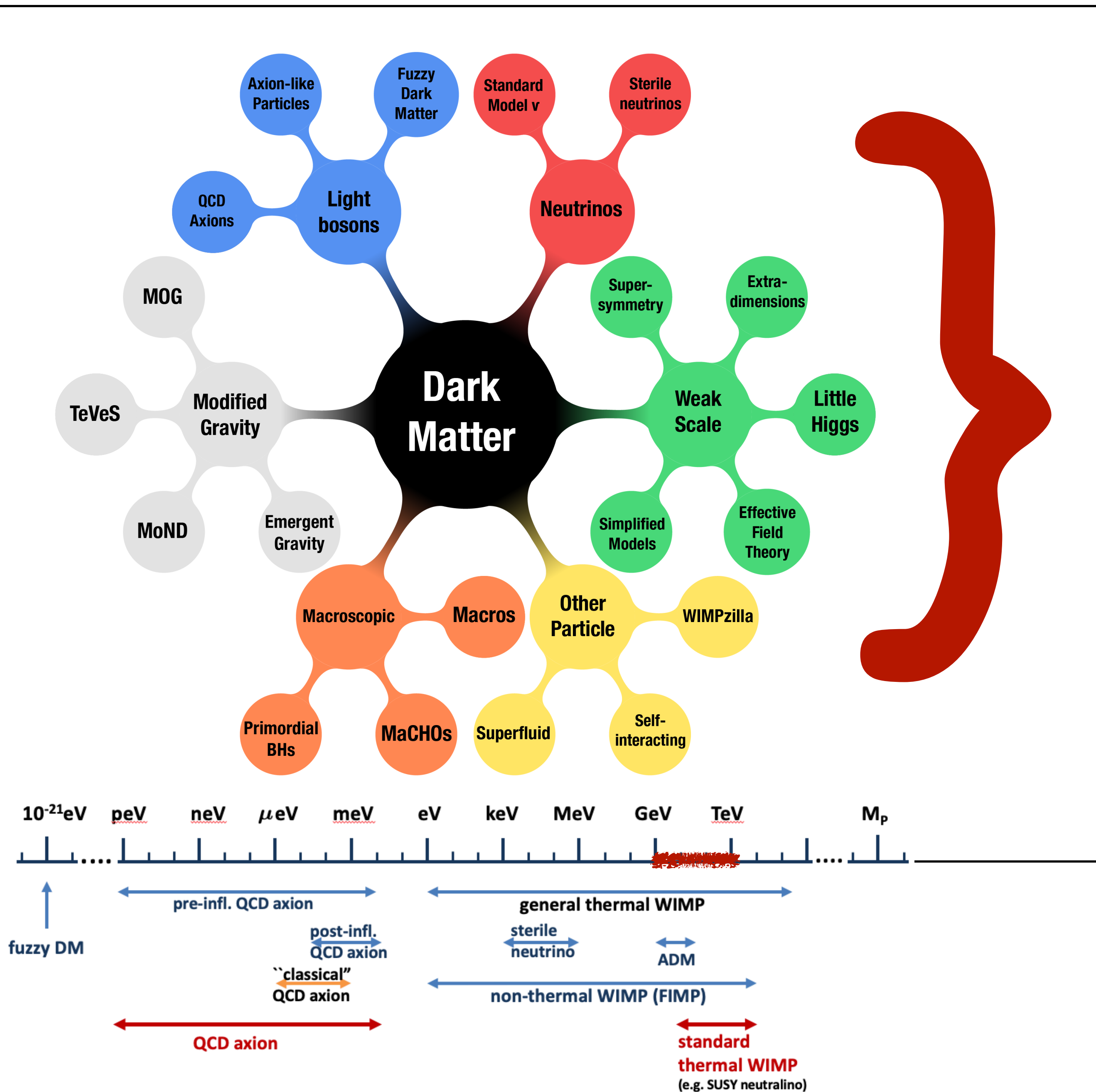


- Cold and Neutral: Non relativistic today.
- Preserves the success of Big Bang Nucleosynthesis (Formation of Atoms and Nuclei in the early Universe)
- “Almost” **Dark** with respect to other forces of nature.
- Collisionless within the DM sector at large scales.
- Stable, on Cosmological time scales.
- Forms halos in the galaxy

Dark Matter belongs in Astronomy/Cosmology .
Why should we care about colliders ?

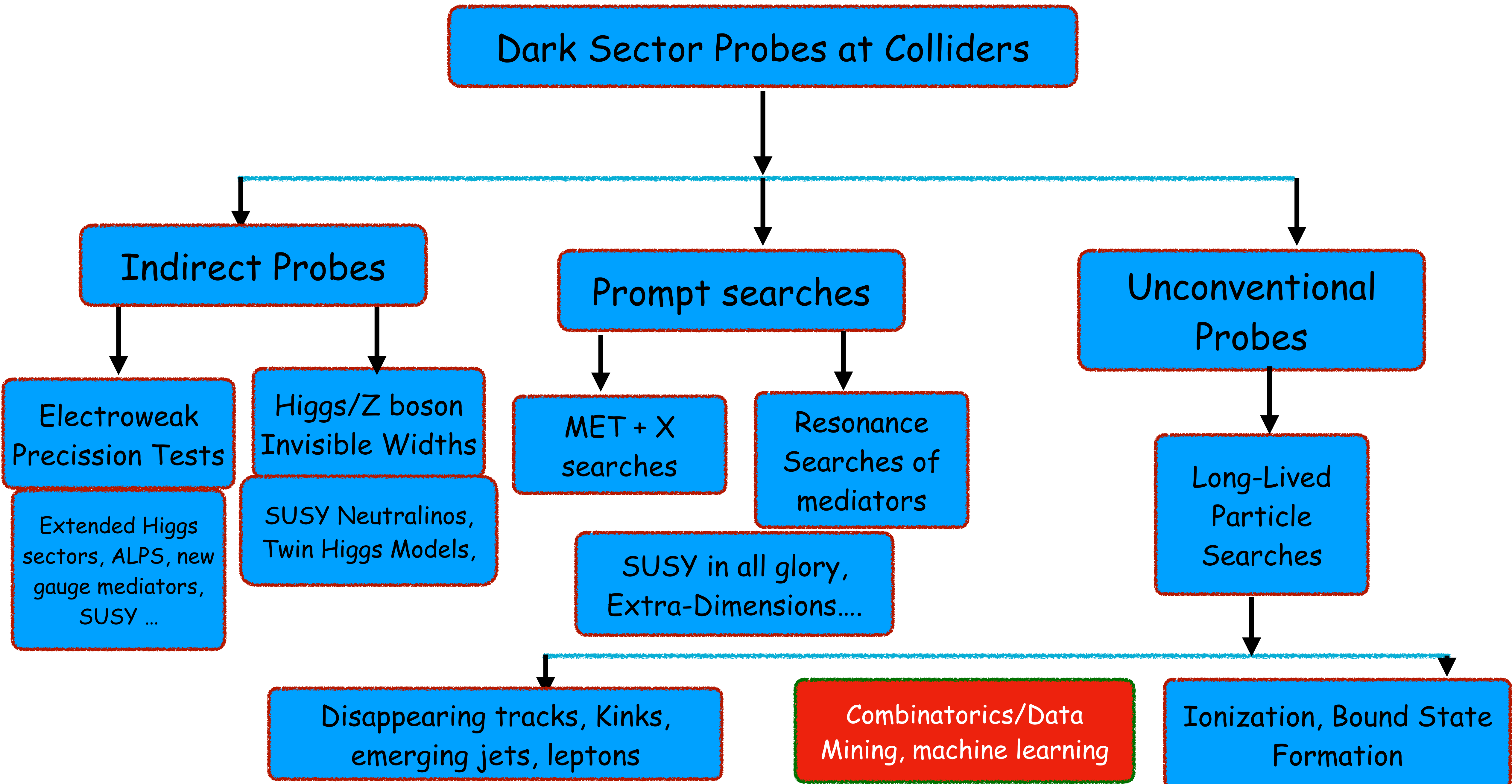


Dark Matter at Colliders



Comment : Even in the event of a missing energy signature, we can't be sure it is dark matter

Classifying Dark Sector Searches



Theoretical Considerations

Theoretical Considerations for freeze-out :

$$\Omega_{\text{DM}} h^2 \sim 0.12 \times \left(\frac{M_{\text{DM}}}{2 \text{ TeV}} \right)^2 \left(\frac{0.3}{g_{\text{eff}}} \right)^4$$

$$M_{\text{DM}} \sim \mathcal{O}(\text{few GeV}) \rightarrow \mathcal{O}(10\text{'s TeV})$$

Cosmological considerations

Unitarity

Can we push/evade these limits for colliders ?

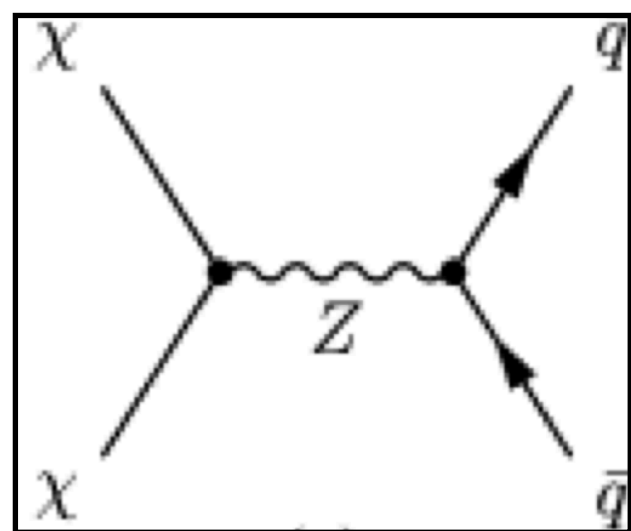
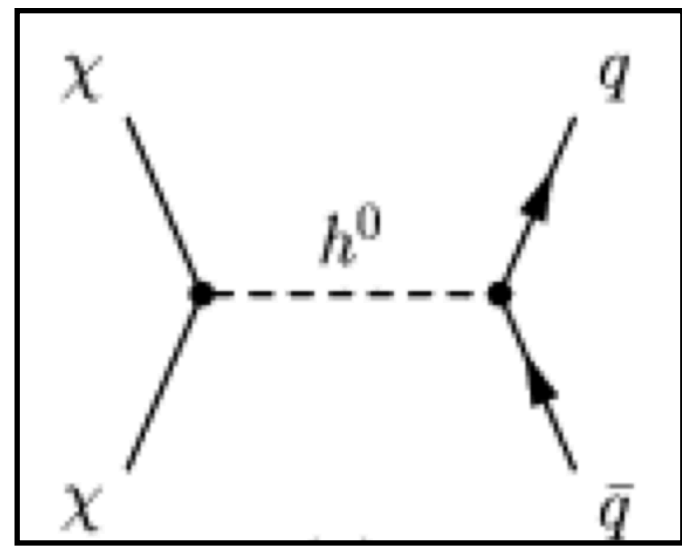
1. Relic Considerations : Superwimp mechanisms, non-thermal production
2. Collider Considerations : Build Bigger Colliders.

Heavy vs light Neutralino

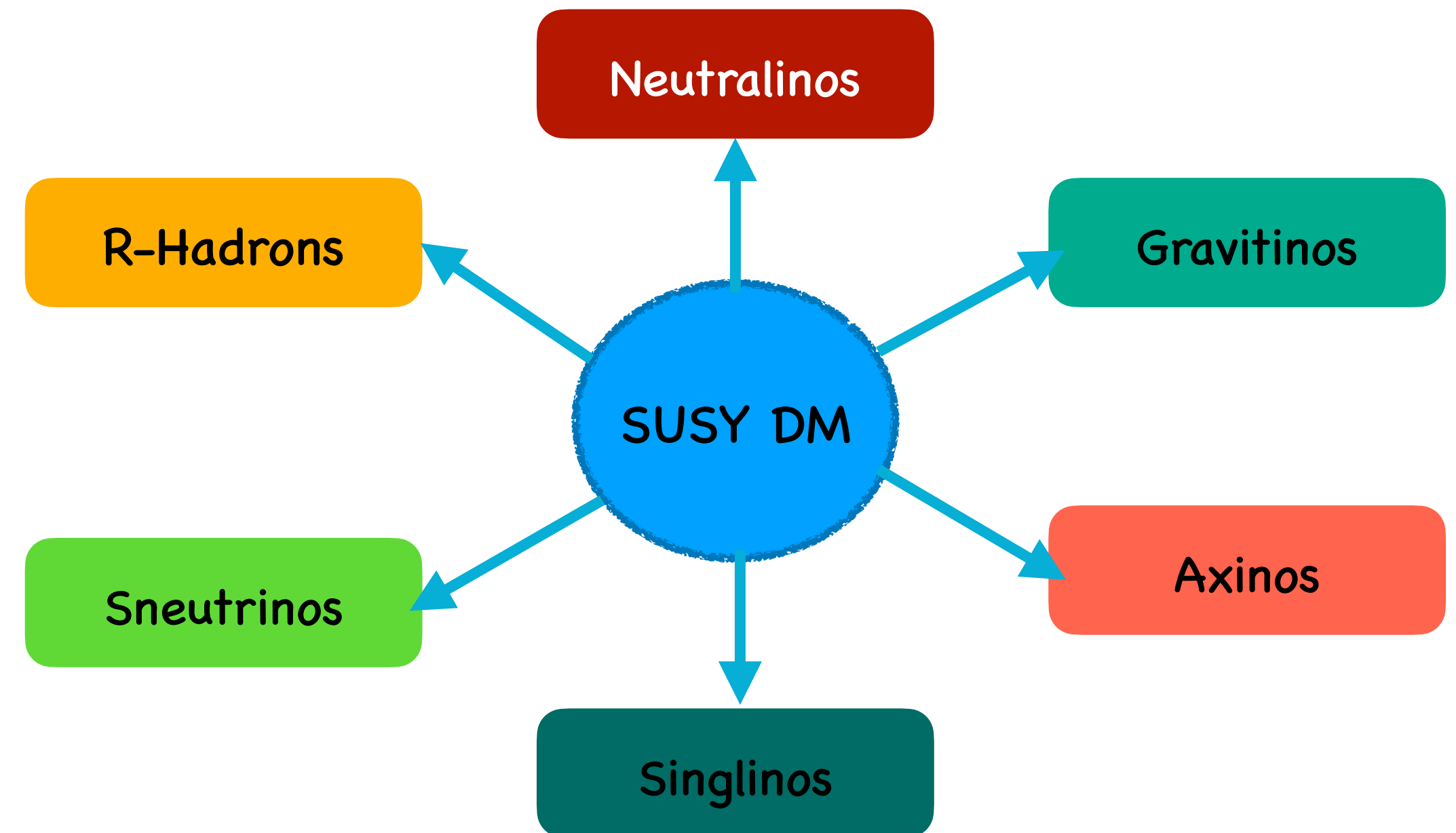
Example 1:

Is the light thermal SUSY neutralino dead ?

For thermal freeze-out need efficient annihilation mechanism to deplete the abundance for SUSY DM

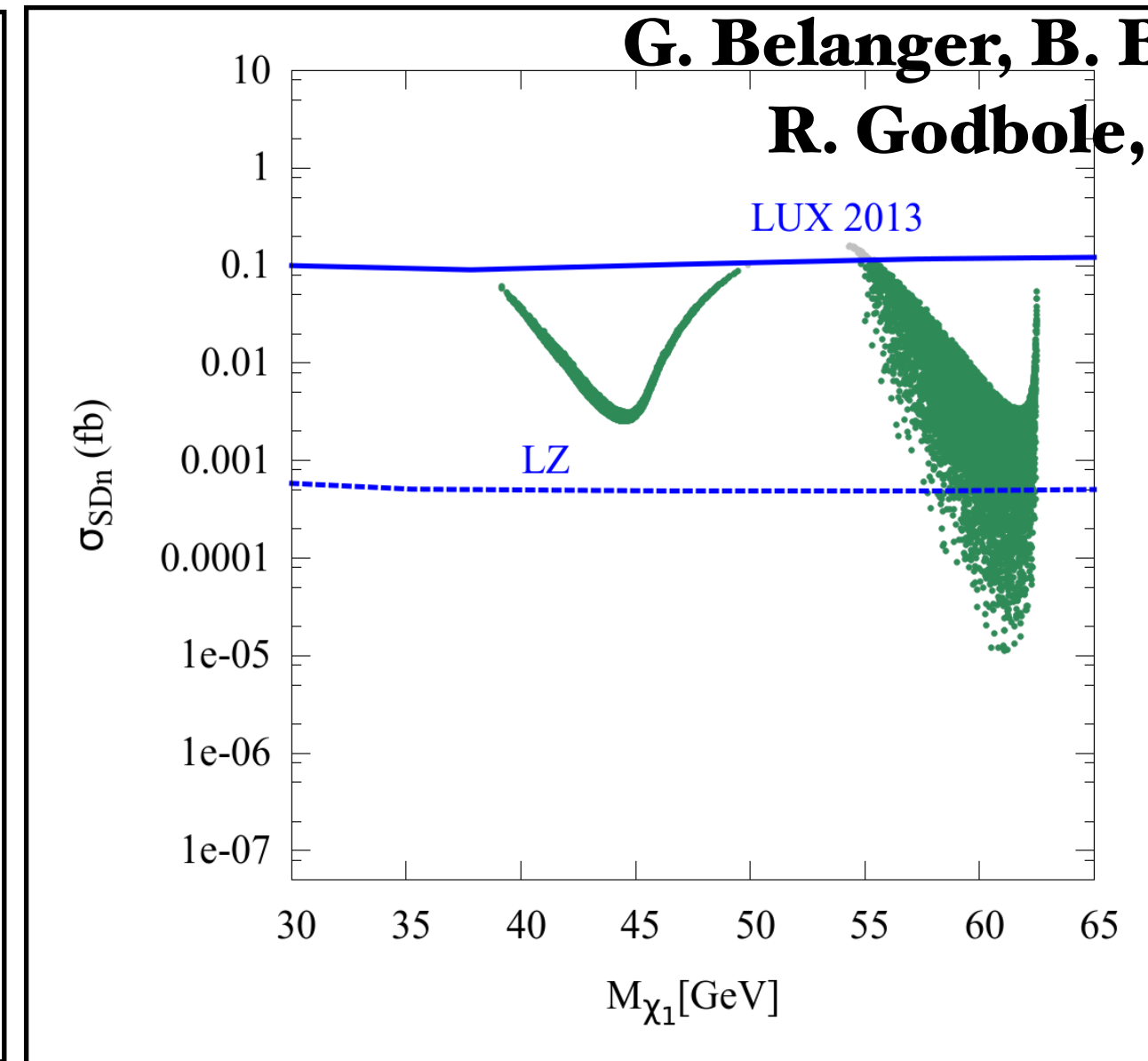
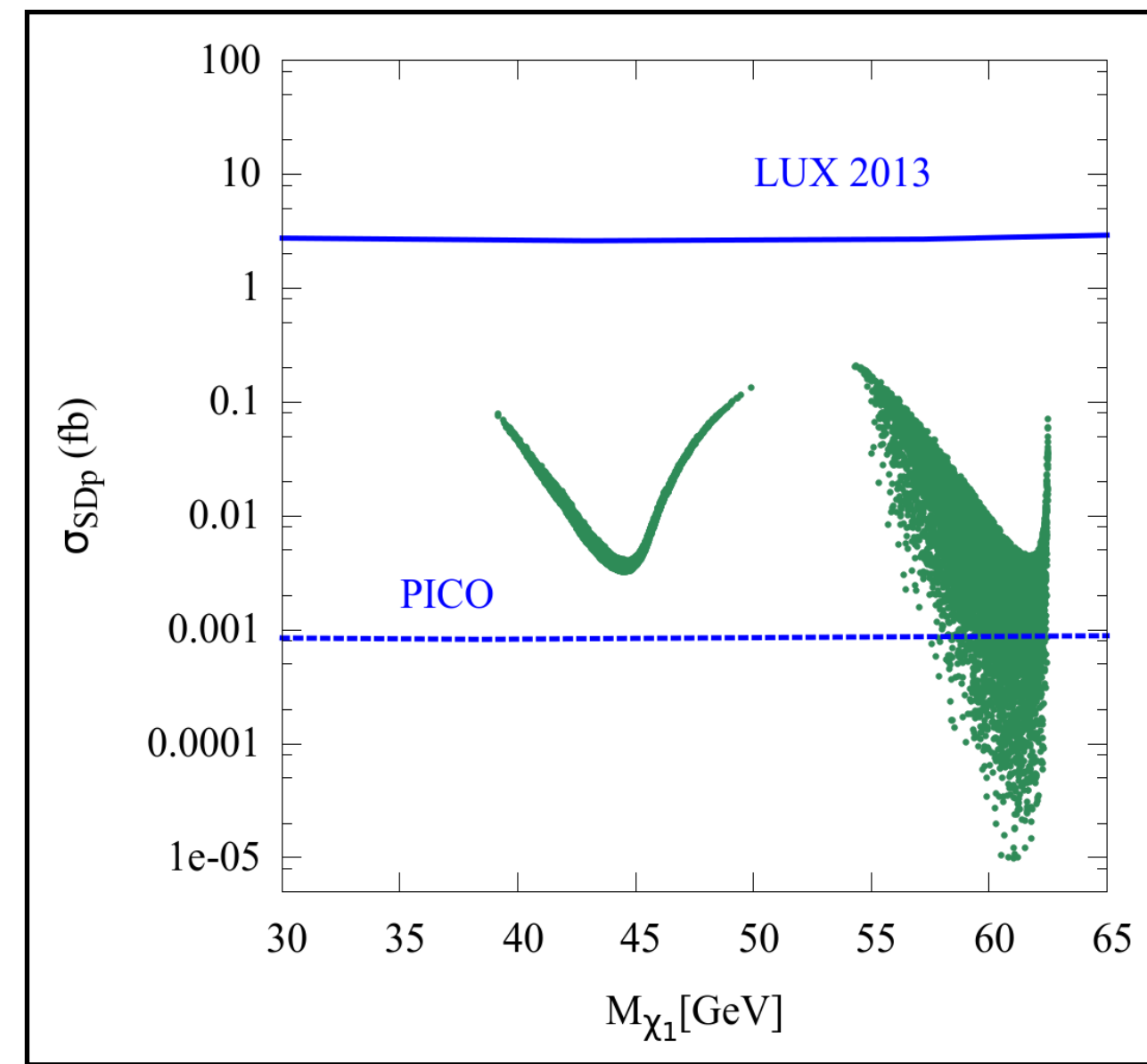
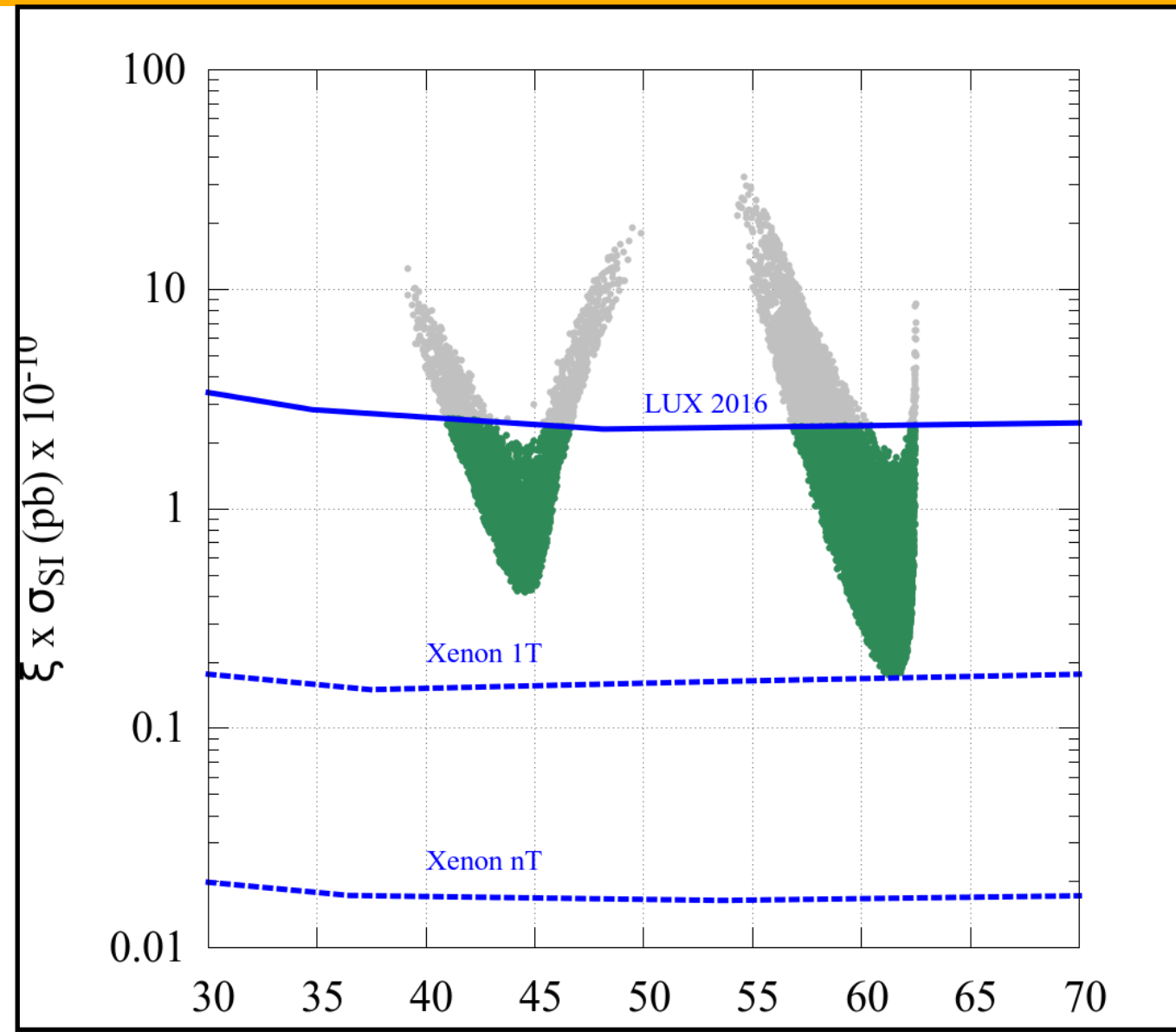


Higgs/Z Funnel, Dark Matter annihilation into SM through the Higgs

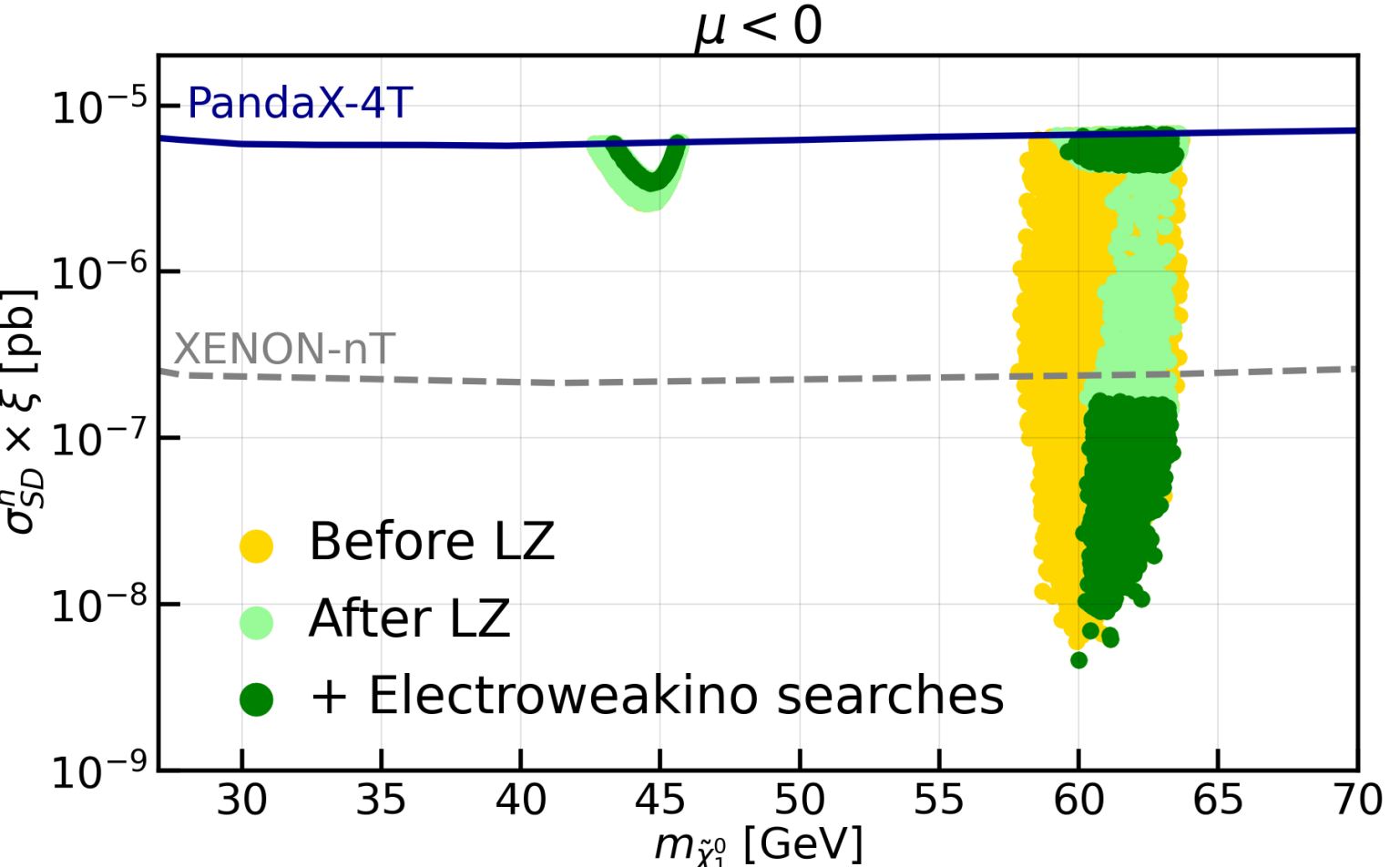
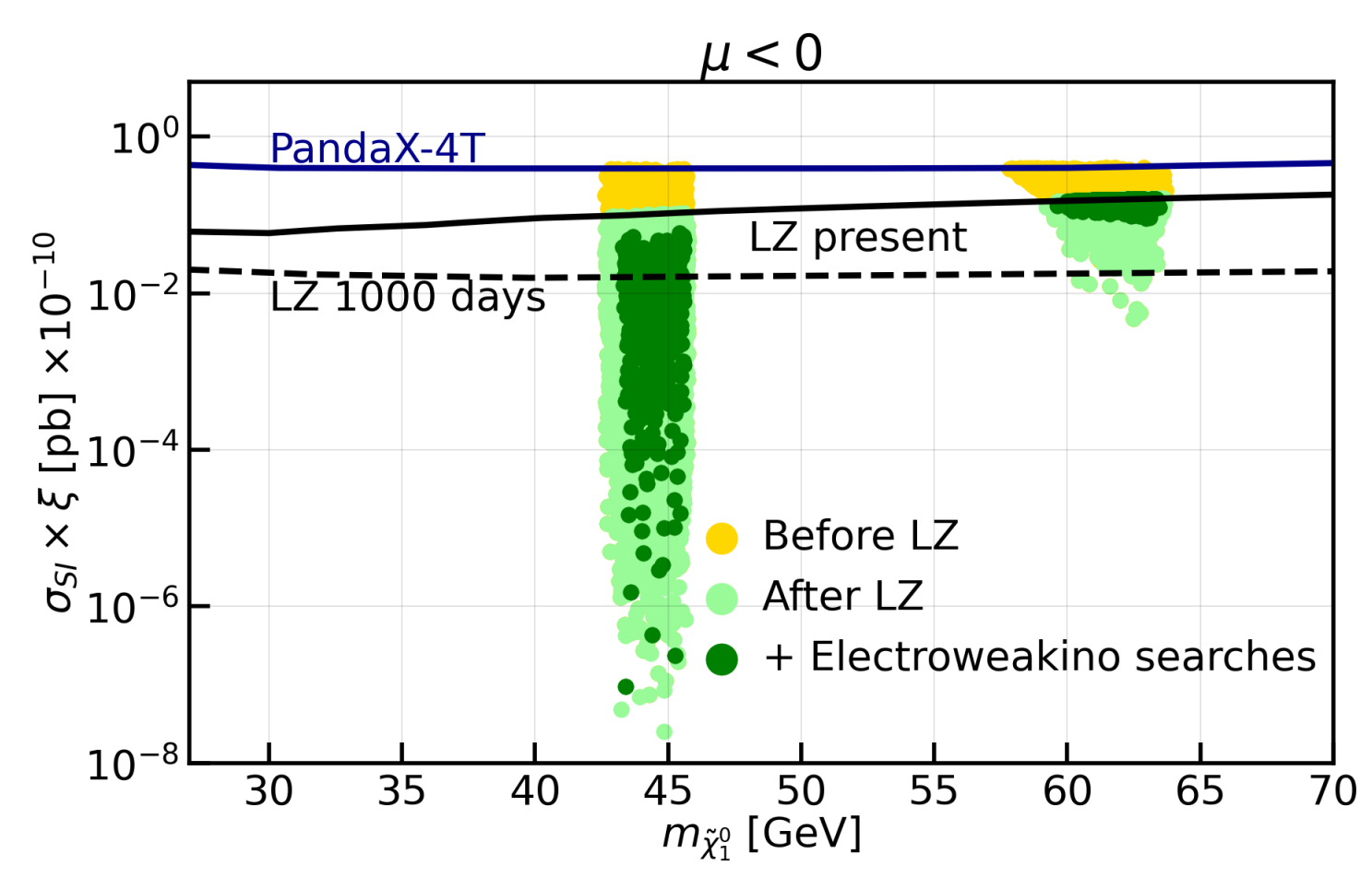
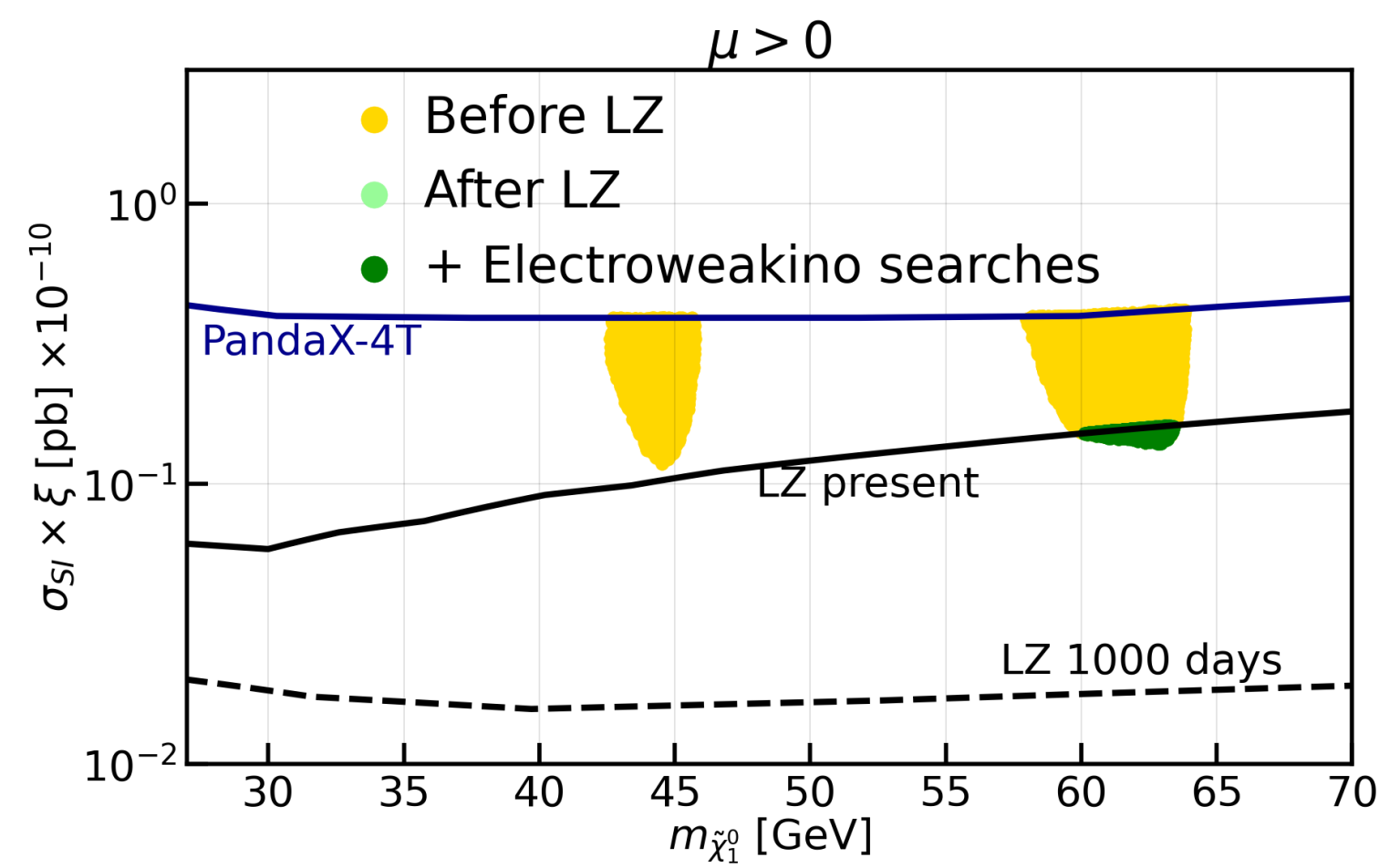


1. Depending on the mass and the gauge content of the neutralino, it can annihilate via a variety of channels.
2. Requires a mediator particle that interacts with the standard model.

The Light Neutralino: Alive in 2017 and may be dead in 2023



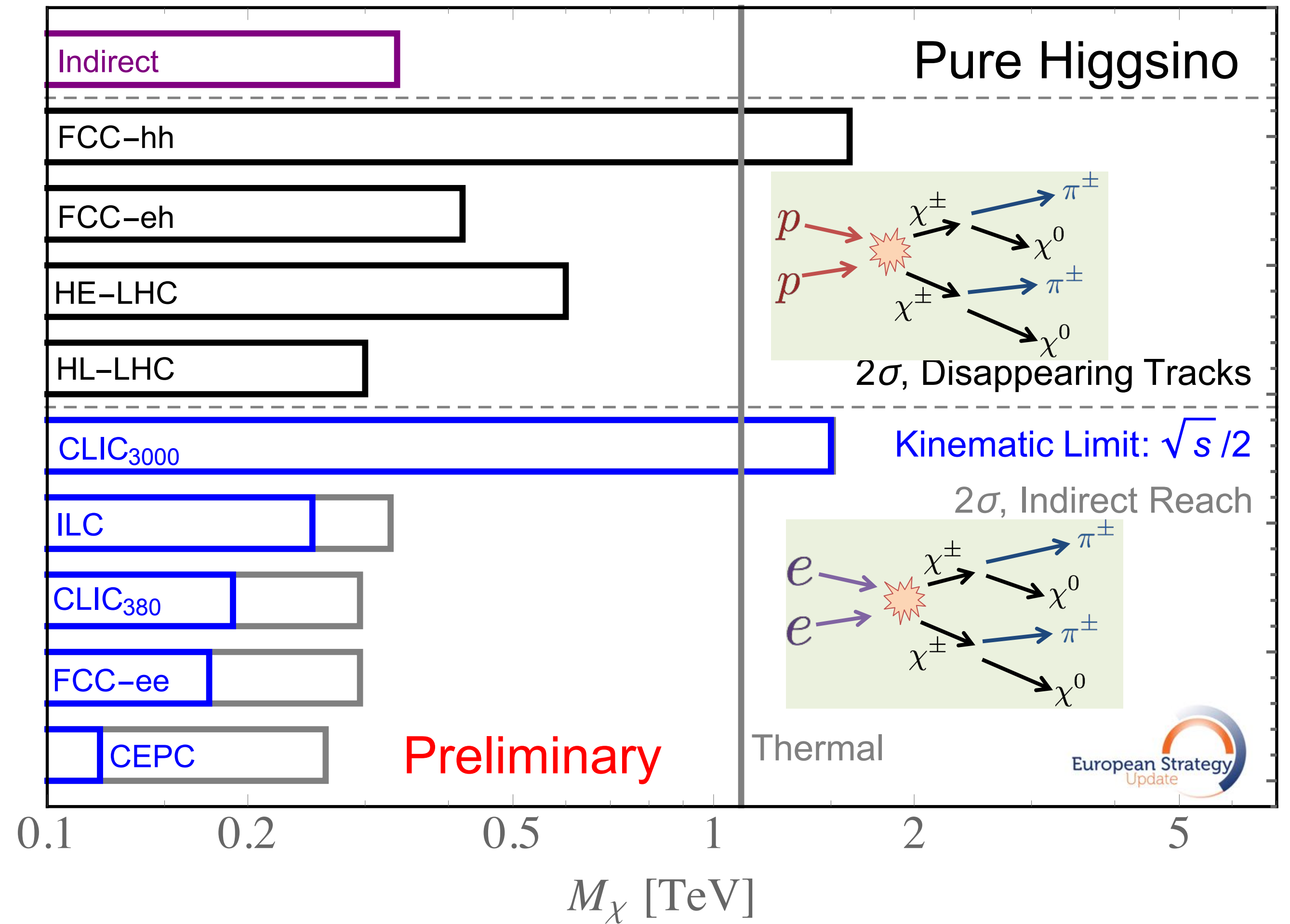
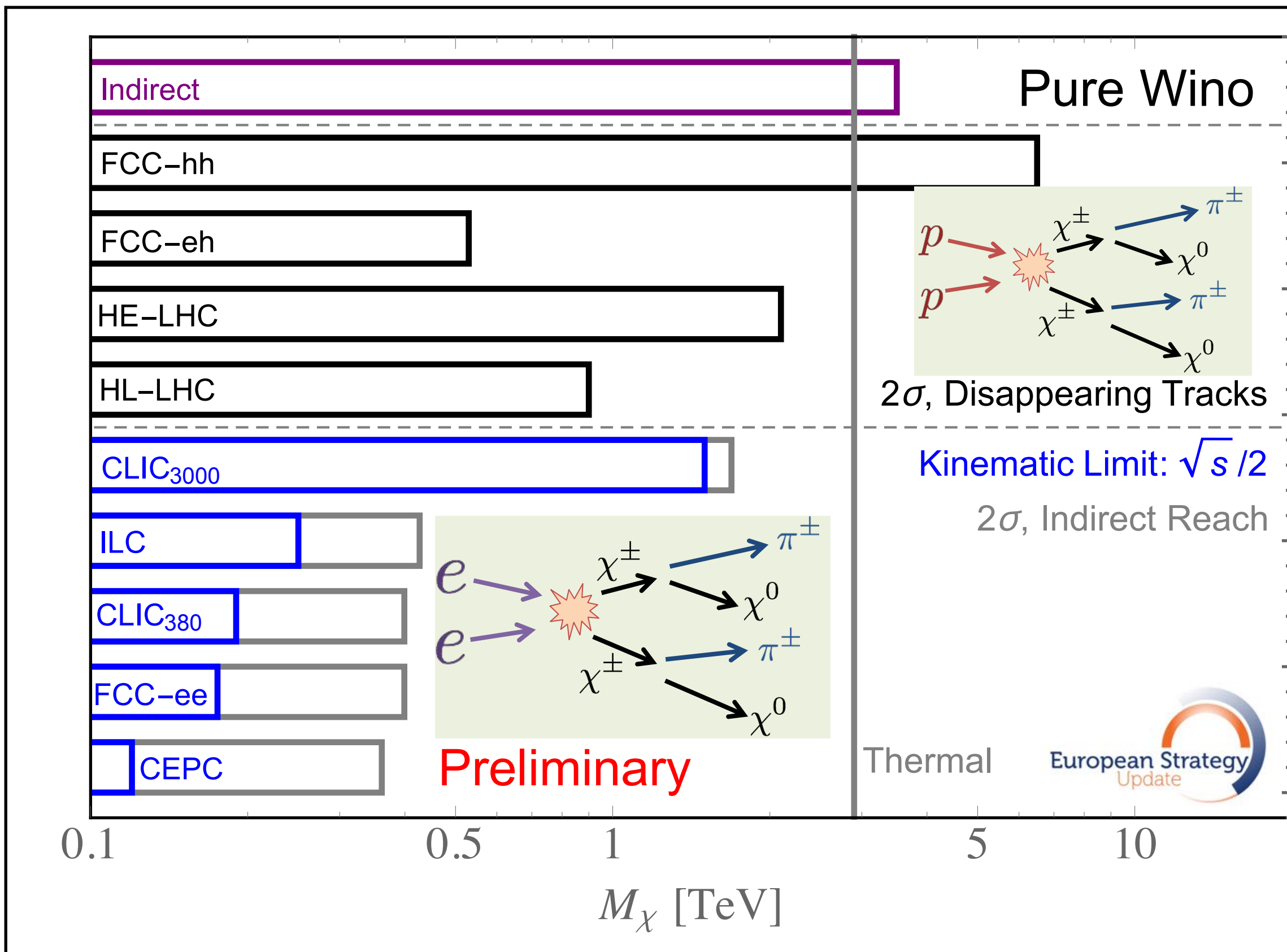
G. Belanger, B. Bhattacharjee, R. Barman,
R. Godbole, *DS.PRD2017, 095018*



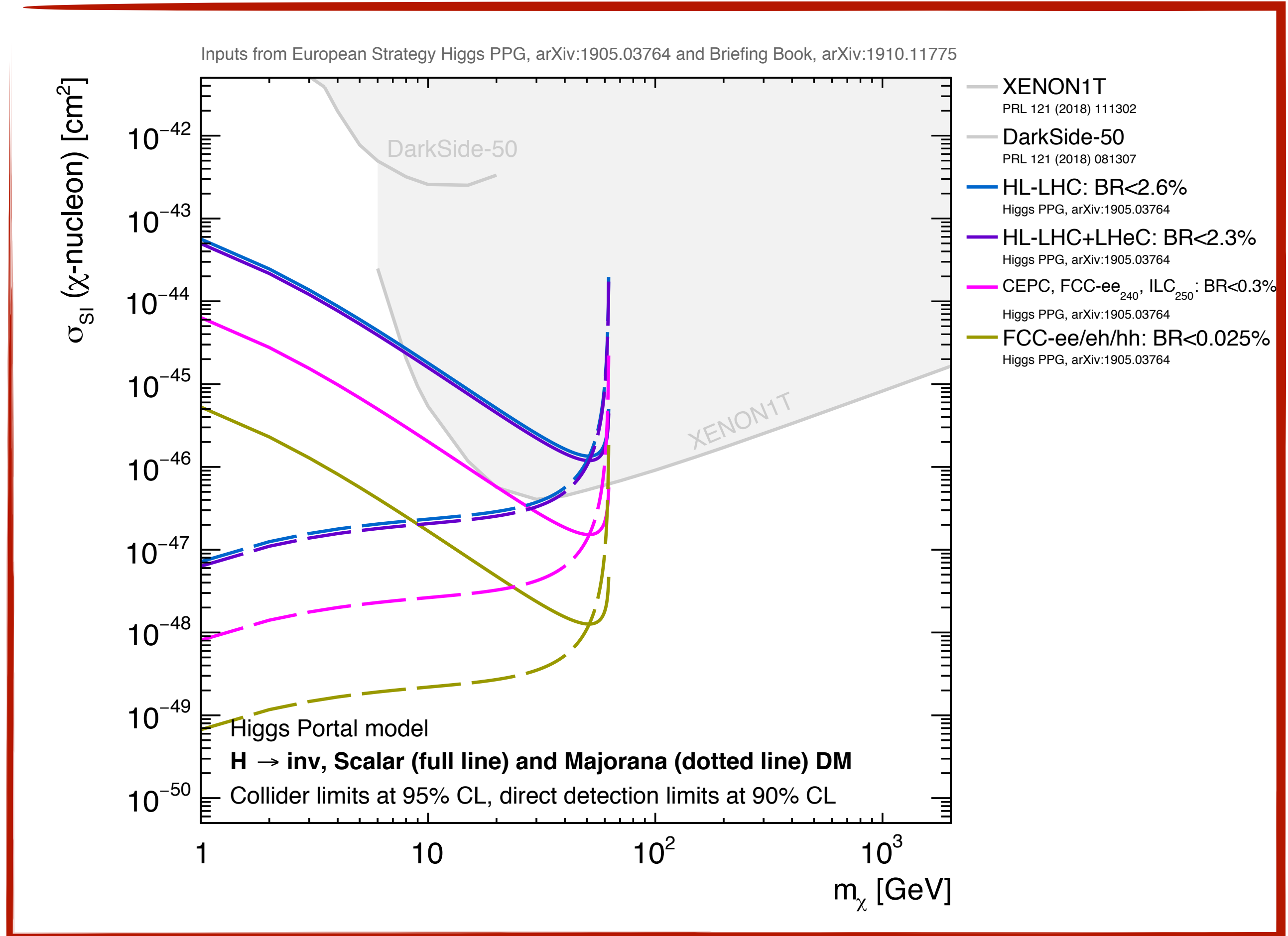
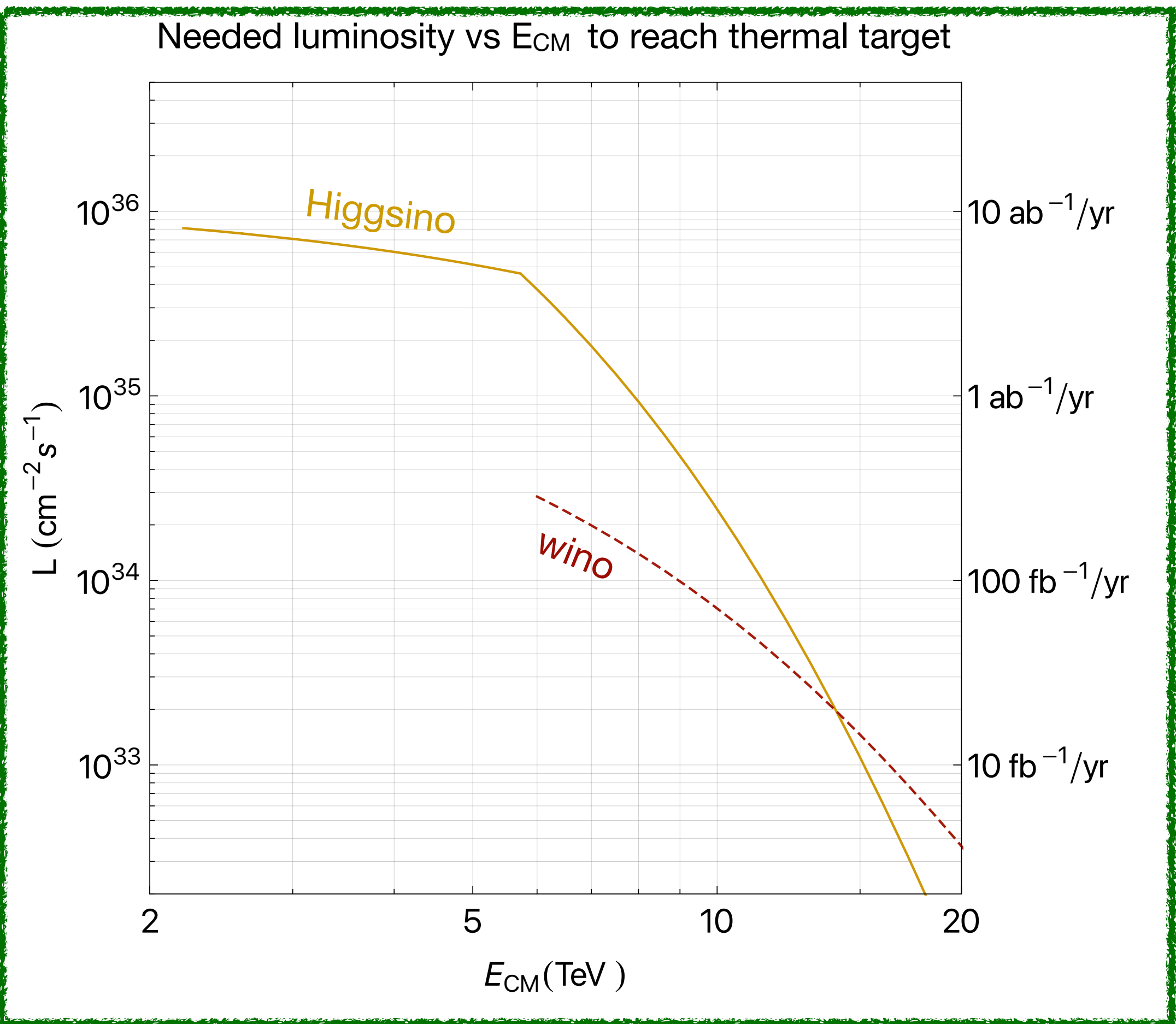
The allowed regions consistent with constraints from $H \rightarrow \text{Invisible}$, $Z \rightarrow \text{Invisible}$, gaugino searches and direct detection are at the Z resonance and the Higgs resonance

G. Belanger, B. Bhattacharjee, R. Barman,
R. Godbole, *R. Sengupta.PRL2023*

Heavy neutralinos, Winos and Higgsinos



Heavy neutralinos and light neutralinos



Lepton Collider Projections: Higgsinos And WINO

Z. Liu and L.-T. Wang, *Physics at Future Colliders: the Interplay Between Energy and Luminosity*, in *2022 Snowmass Summer Study*, 4, 2022 [2205.00031].

EFTs and simplified models

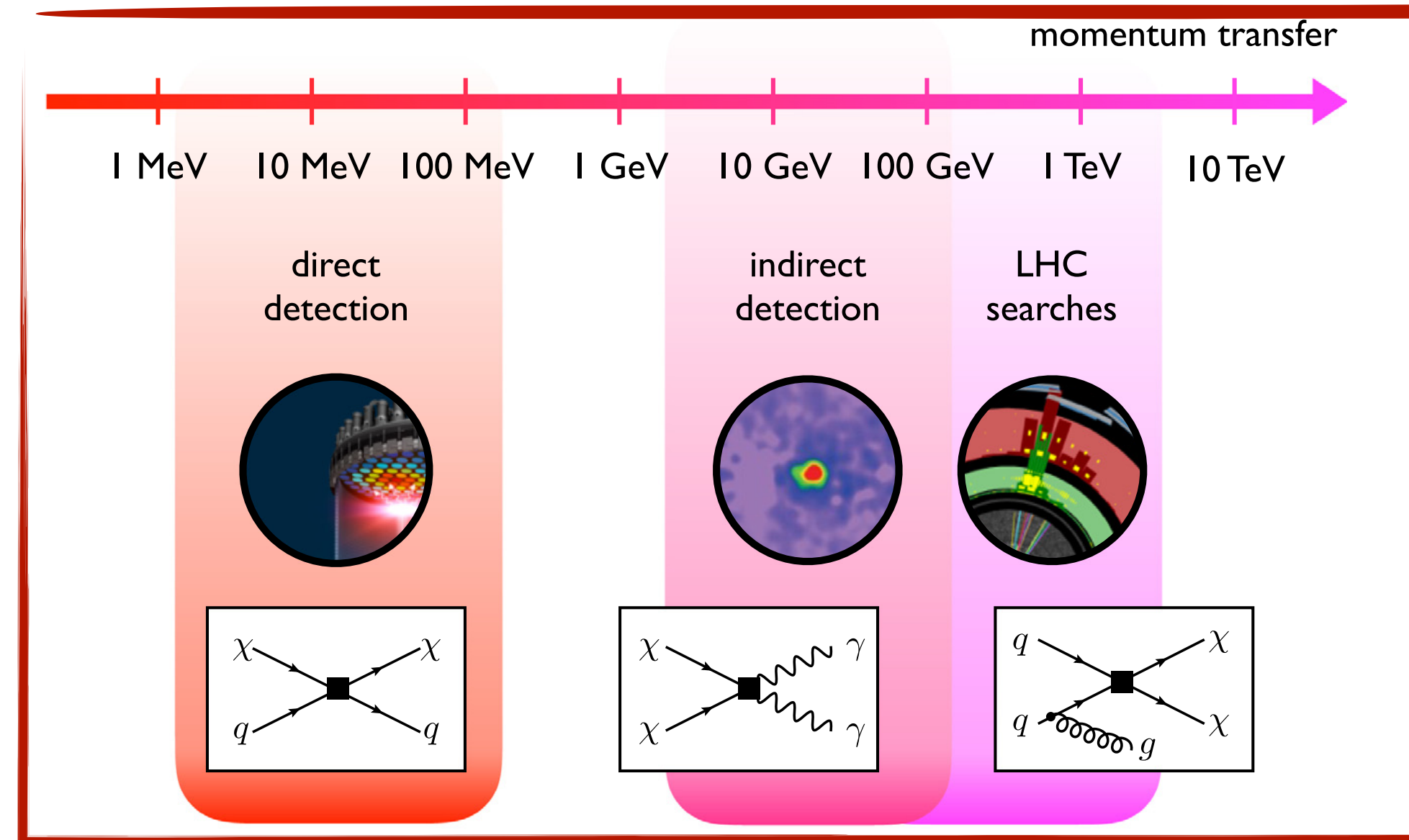
$$\mathcal{L}_{\text{DM-EFT}} = \sum_{f=u,d,s,c,b,t,e,\mu,\tau} \left(\frac{C_1^f}{\Lambda^2} \bar{f} f \bar{\chi} \chi + \frac{C_2^f}{\Lambda^2} \bar{f} \gamma_5 f \bar{\chi} \gamma_5 \chi + \dots \right)$$

The most typical basis for Direct and indirect Detection

Described by the mass of the dark matter, and the couplings

$$\{m_\chi, C_n^f/\Lambda^2\}$$

Justified for $q^2 \ll \Lambda^2$



LHC DM simplified models

Working group

Instead, work in a basis of simplified Models with a generic mediator and couplings

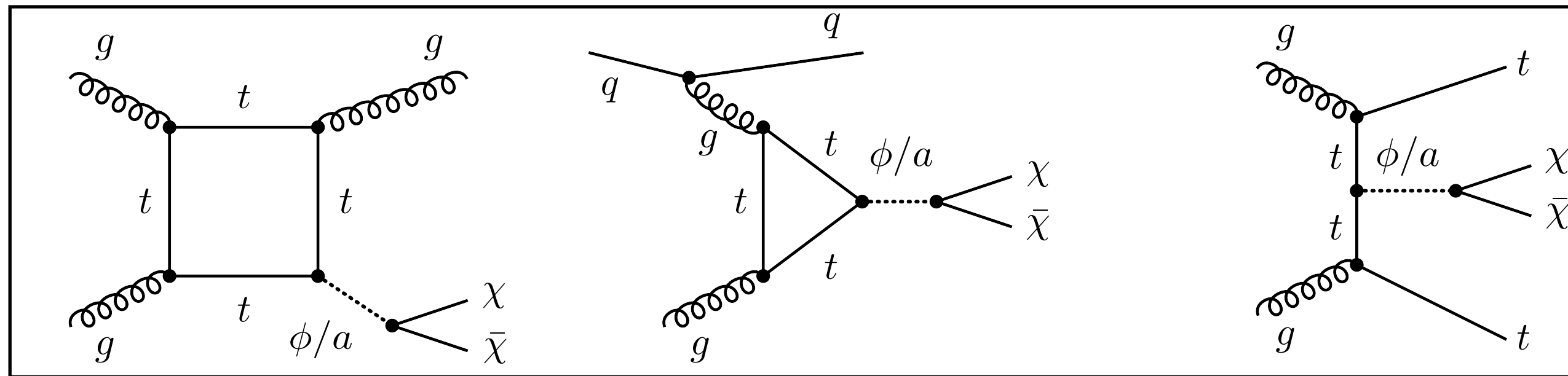
$$\mathcal{L}_{\text{DM-simp}} = -ig_\chi a \bar{\chi} \gamma_5 \chi - ia \sum_i (g_u y_j^u \bar{u}_j \gamma_5 u_j + g_d y_j^d \bar{d}_j \gamma_5 d_j + g_\ell y_j^\ell \bar{\ell}_j \gamma_5 \ell_j)$$

Simplified models s-channel vs t-channel

$$\mathcal{L}_{\text{fermion},\phi} \supset -g_\chi \phi \bar{\chi} \chi - \frac{\phi}{\sqrt{2}} \sum_i \left(g_u y_i^u \bar{u}_i u_i + g_d y_i^d \bar{d}_i d_i + g_\ell y_i^\ell \bar{l}_i l_i \right),$$

$$\mathcal{L}_{\text{fermion},a} \supset -ig_\chi a \bar{\chi} \gamma_5 \chi - \frac{ia}{\sqrt{2}} \sum_i \left(g_u y_i^u \bar{u}_i \gamma_5 u_i + g_d y_i^d \bar{d}_i \gamma_5 d_i + g_\ell y_i^\ell \bar{l}_i \gamma_5 l_i \right)$$

$$\{m_\chi, m_{\phi/a}, g_\chi, g_u, g_d, g_\ell\}$$

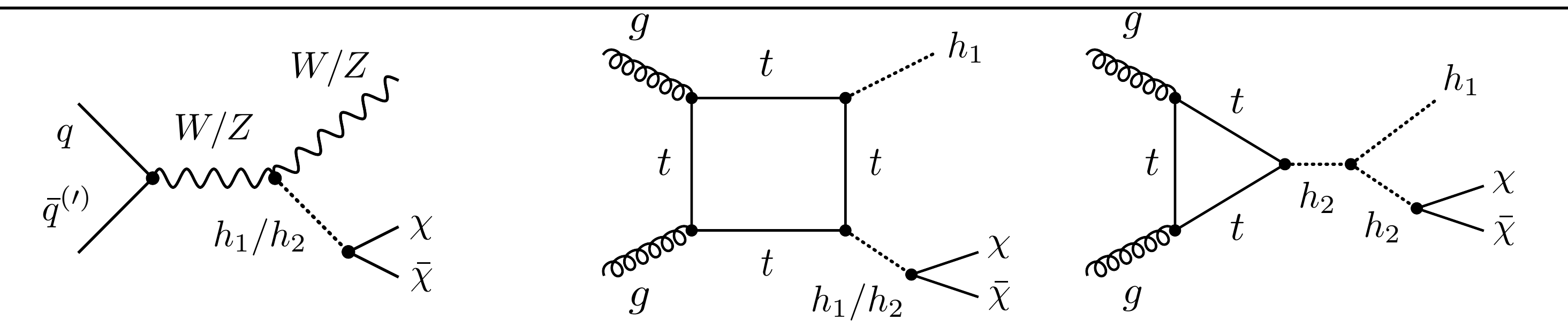


Dominant decay modes if

$$m_{\phi/a} > 2m_t \quad g_u \gtrsim g_\chi$$

Fermion singlet DM

$$\mathcal{L}_{\text{fermion},H} \supset -\mu_s s^3 - \lambda_s s^4 - y_\chi \bar{\chi} \chi s - \mu_p s |H|^2 - \lambda_p s^2 |H|^2$$



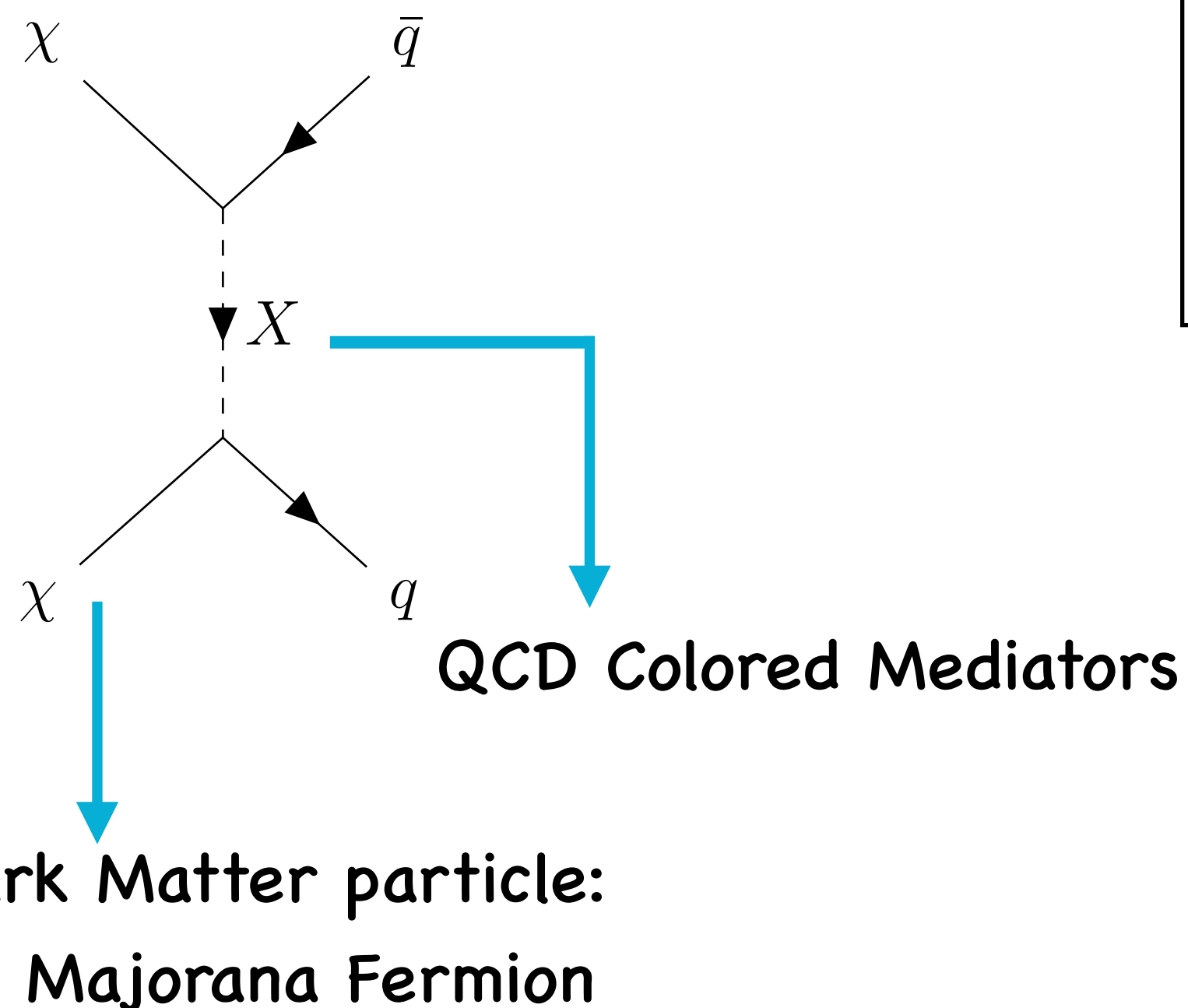
t-channel models

1. Strong constraints from direct detection searches
2. Strong constraints from collider searches
3. Radiative (1-loop) effects can be strong in direct detection

Let's illustrate this using a Simplified Model

$$\mathcal{L} \supset \sum_i (D_\mu X_i)^\dagger (D^\mu X_i) + \sum_{i,j} \left(g_{\text{DM},ij} X_i^\dagger \bar{\chi} P_R q_j + g_{\text{DM},ij}^* X_i q_j P_L \chi \right)$$

A Majorana Fermion Dark Matter (Neutralino) interacting with Scalar Colored Scalar Mediators (Squarks)



$$\langle \sigma v \rangle \simeq N_c^f g_{\text{DM}}^4 \left[\frac{m_f^2 \sqrt{1 - \frac{m_f^2}{m_\chi^2}}}{64\pi(m_{\tilde{q}}^2 + m_\chi^2 - m_f^2)^2} + \beta^2 \left\{ \frac{m_\chi^2 \sqrt{m_\chi^4 + m_{\tilde{q}}^4}}{32\pi(m_\chi^2 + m_{\tilde{q}}^2)^4} + \mathcal{O}(m_f^2) \right\} \right]$$

Velocity independent part (s wave)

Velocity dependent part (p wave)

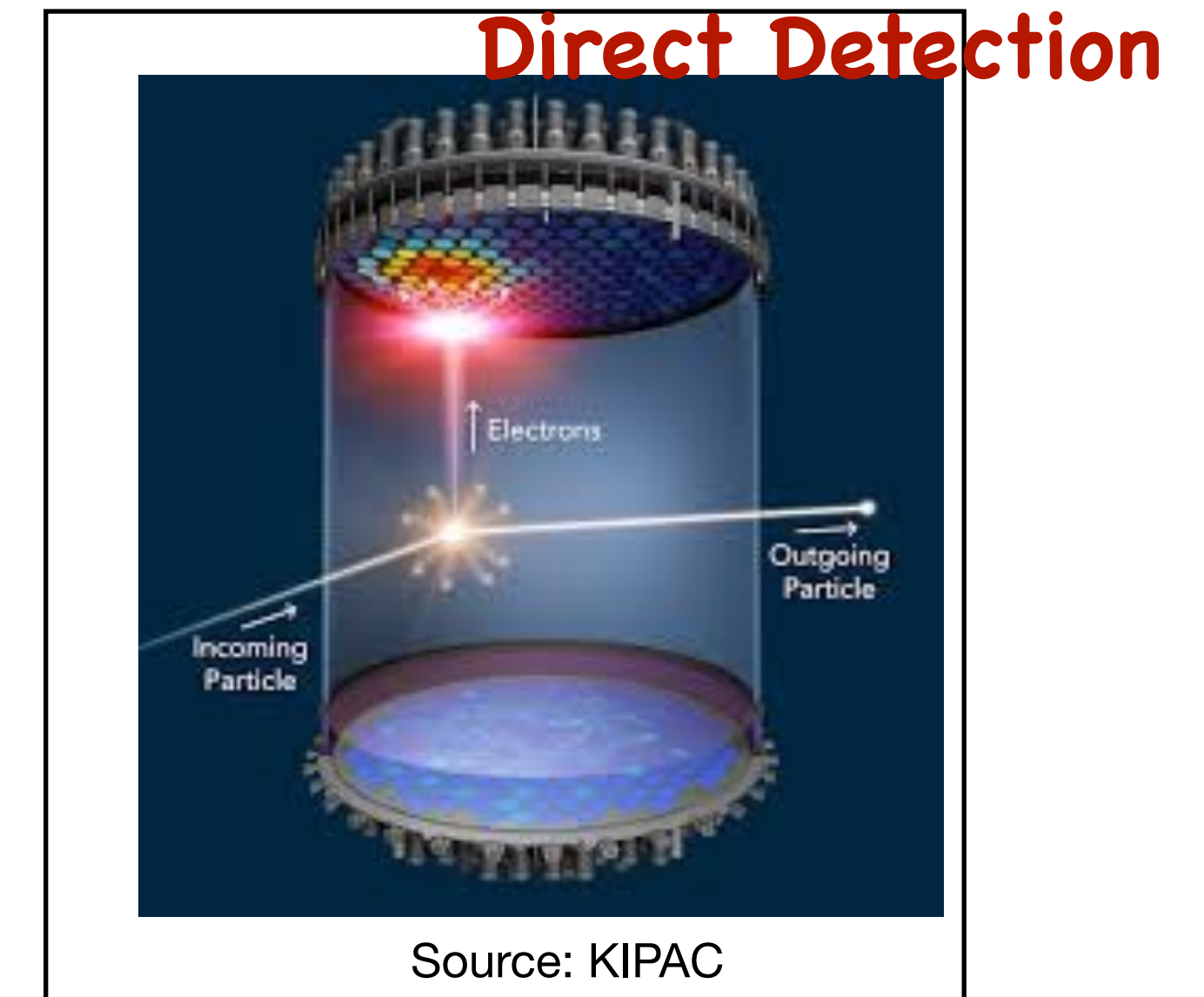
See K. Mohan, **DS**, T. Tait, B. Yan, C.P. Yuan. JHEP 05 (2019) 115

Direct Detection of Dark Matter 101

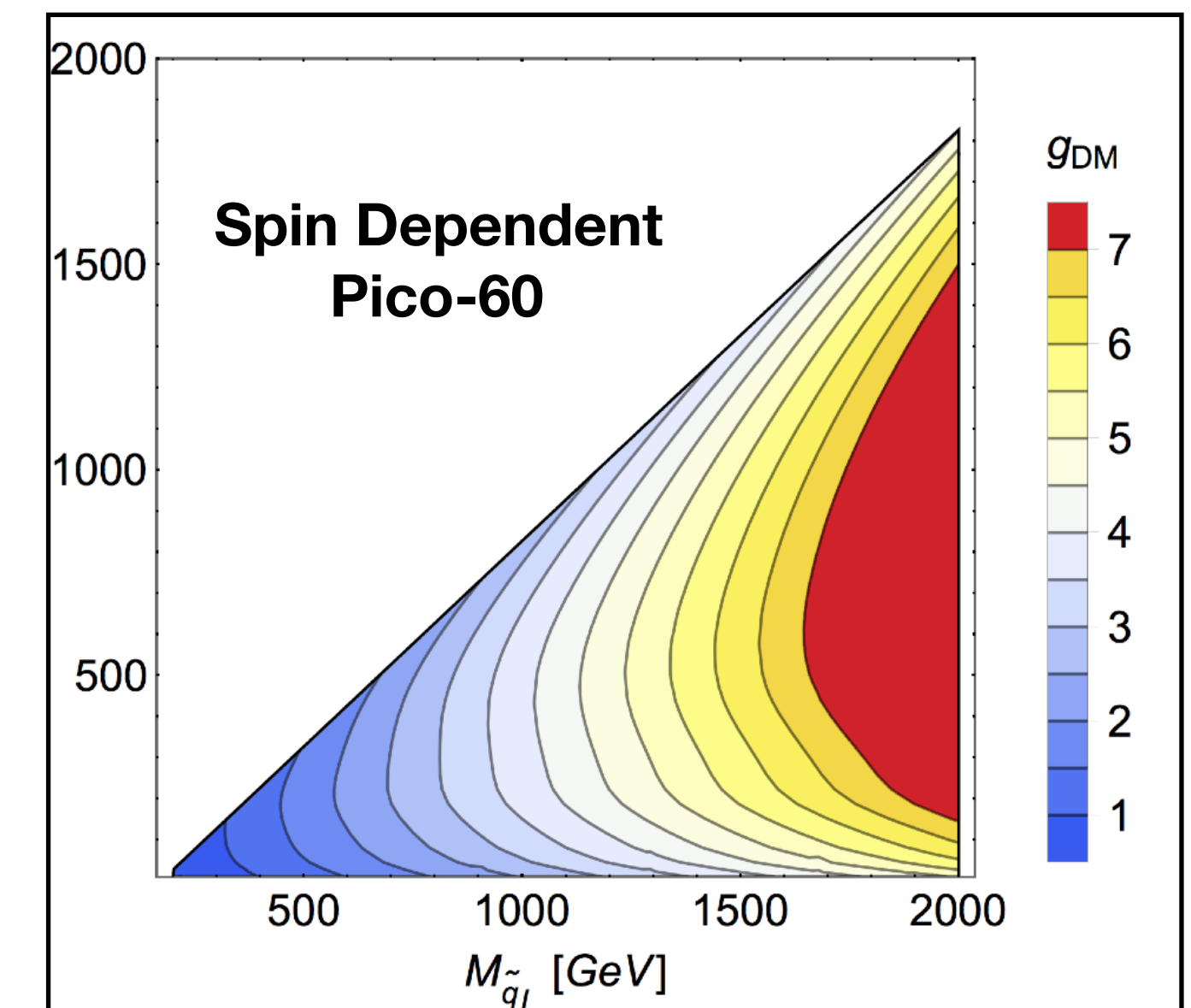
Spin-Independent : Coherent interaction with the whole Atomic Nucleus

Spin-Dependent : For Axial Vector coupling, couples to the spin of the Nucleus

- Given a DM model, we need to calculate the spin-independent and spin-dependent cross sections at the quark level and match it at the nucleon level using form factors
- Spin-Independent limits at tree level more constraining than the spin-dependent part



Is the spin-independent 1-loop more sensitive than the tree level spin-dependent direct detection limit?



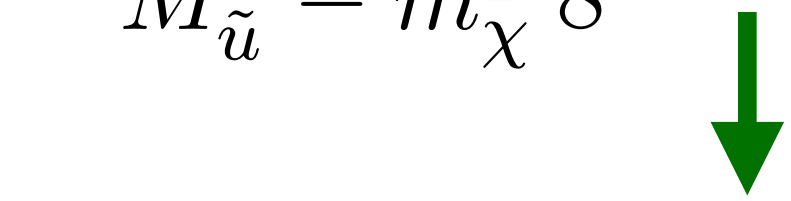
Spin-Independent : Coherent interaction with the whole Atomic Nucleus

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- Given a DM model, we need to calculate the spin-independent and spin-dependent cross sections at the quark level and match it at the nucleon level using form factors
- Spin-Independent limits at tree level more constraining than the spin-dependent part

$$\mathcal{M} = (-ig_{DM})^2 (\bar{\chi} P_R u) \frac{i}{p^2 - M_{\tilde{u}}^2} (\bar{u} P_L \chi)$$

$$\approx \frac{ig_{DM}^2}{M_{\tilde{u}}^2 - m_\chi^2} \frac{1}{8} [(\bar{\chi} \gamma^\mu \chi)(\bar{u} \gamma_\mu u) - (\bar{\chi} \gamma^\mu \gamma^5 \chi)(\bar{u} \gamma_\mu \gamma^5 u)]$$



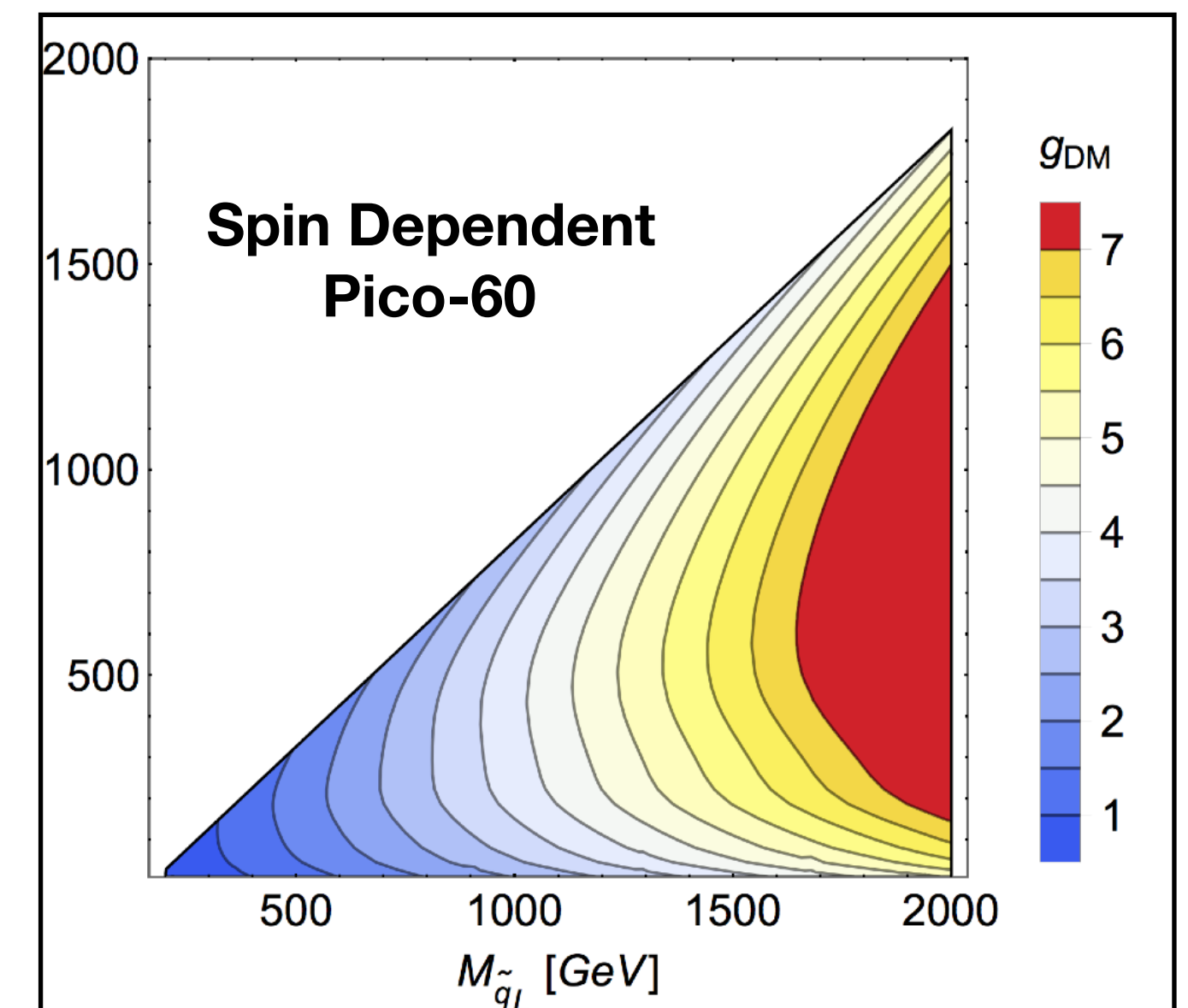
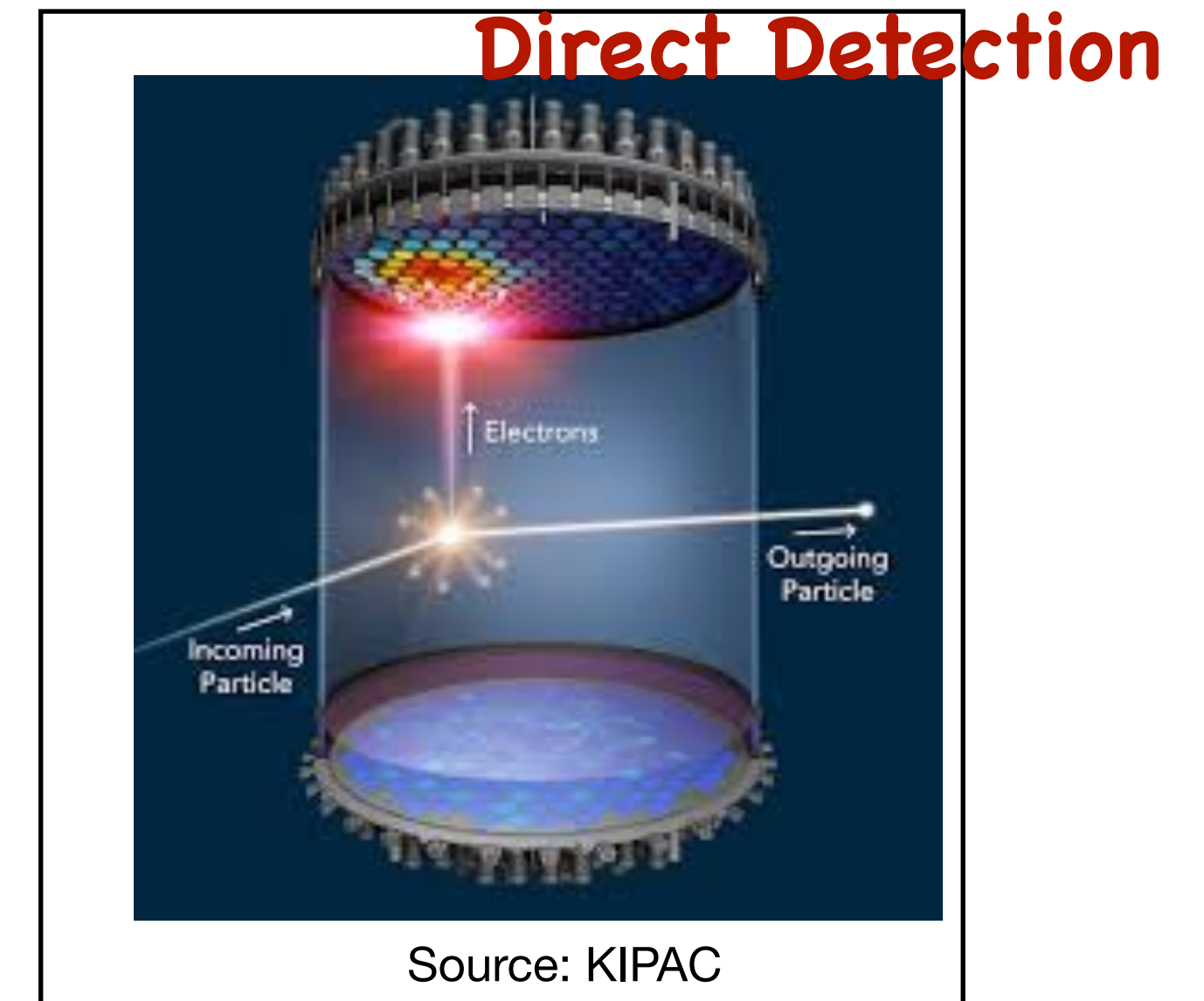
SI = 0 for Majorana fermion
at tree level, Vector Bilinear vanishes

$$\sigma_p = \frac{4}{\pi} \left(\frac{M_\chi m_p}{M_\chi + m_p} \right)^2 |\langle \mathcal{M}_{DD} \rangle_{NR}|^2$$

Is the spin-independent 1-loop more sensitive than the tree level spin-dependent direct detection limit?

We need to describe the effective theory of DM-Nucleon interaction at one loop

See K. Mohan, **DS**, T. Tait, B. Yan, C.P. Yuan. JHEP 05 (2019) 115

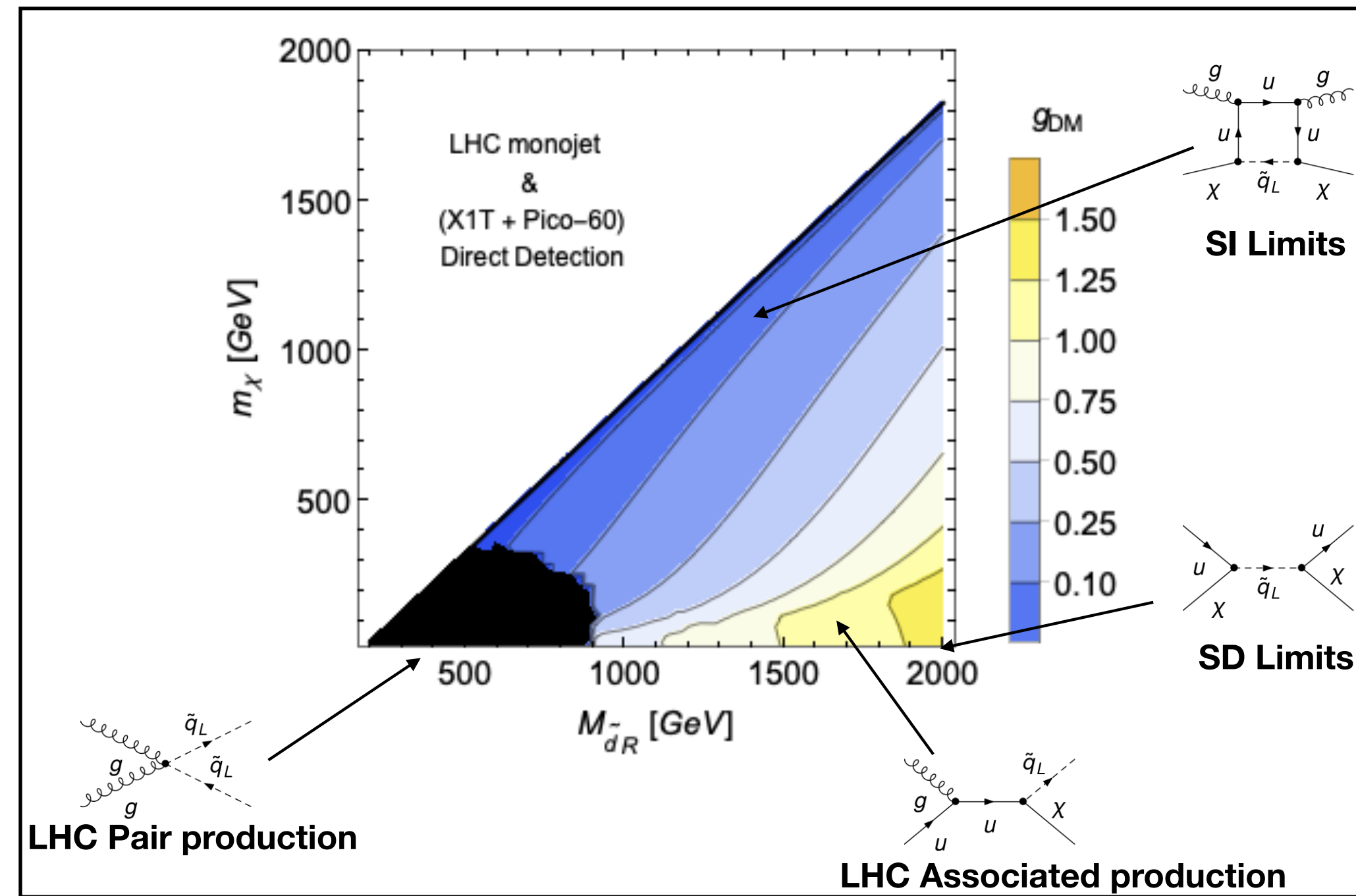
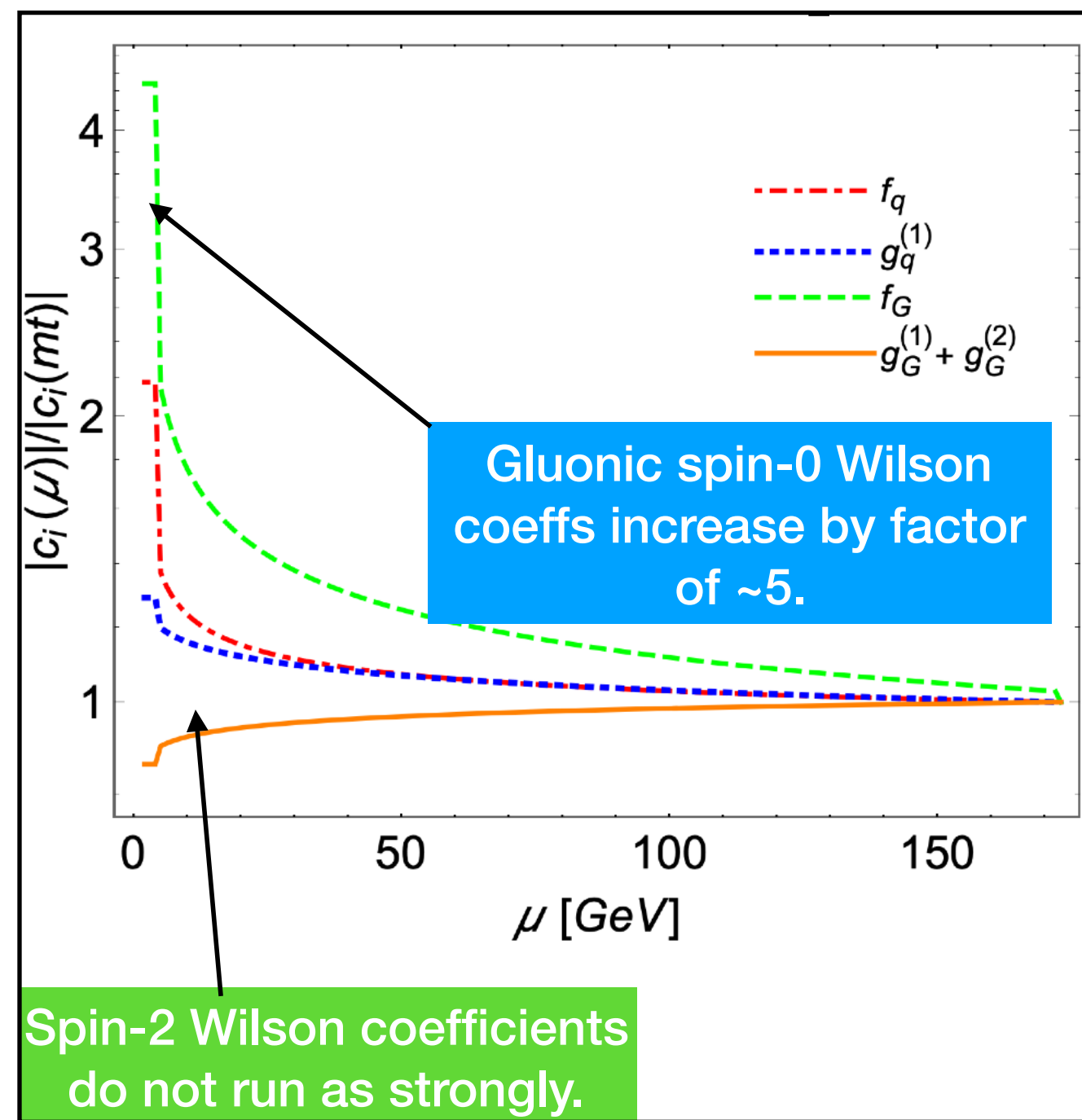


Constraints for the Simplified Model

We also need a Renormalization Group Evolution

At what scale do we define coupling and masses?

If at nuclear scale, to compare to LHC we should run up, for the reverse, run down.



Take home message
Precision Calculations can significantly improve constraints on the coupling (DM interaction)

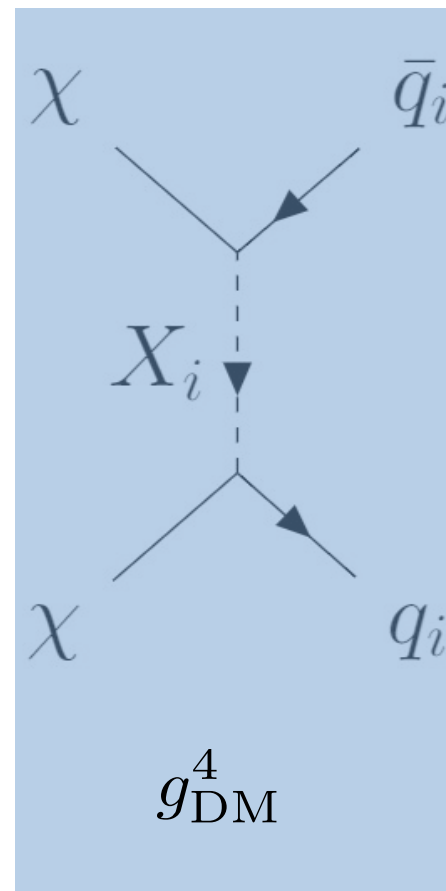
Factor 4 enhancement in cross-section

See K. Mohan, **DS**, T. Tait, B. Yan, C.P. Yuan. JHEP 05 (2019) 115 for details

Coannihilations, Radiative and Non-Perturbative Effects in Relic Density Calculation

Let's go deeper into the same model, think of small mass gap between DM and mediator

$$\delta \equiv \frac{m_X - m_\chi}{m_\chi} \equiv \frac{\Delta m}{m_\chi}, \quad \Delta m \equiv m_X - m_\chi$$

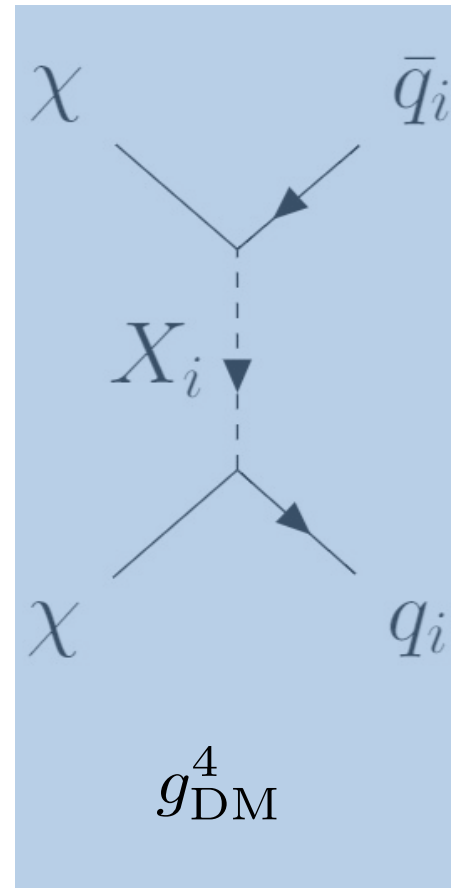


**Large mass gap,
only relevant process**

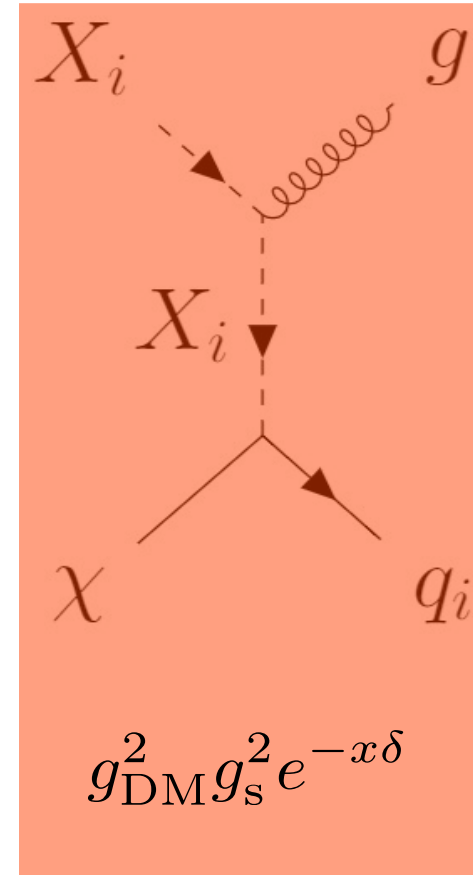
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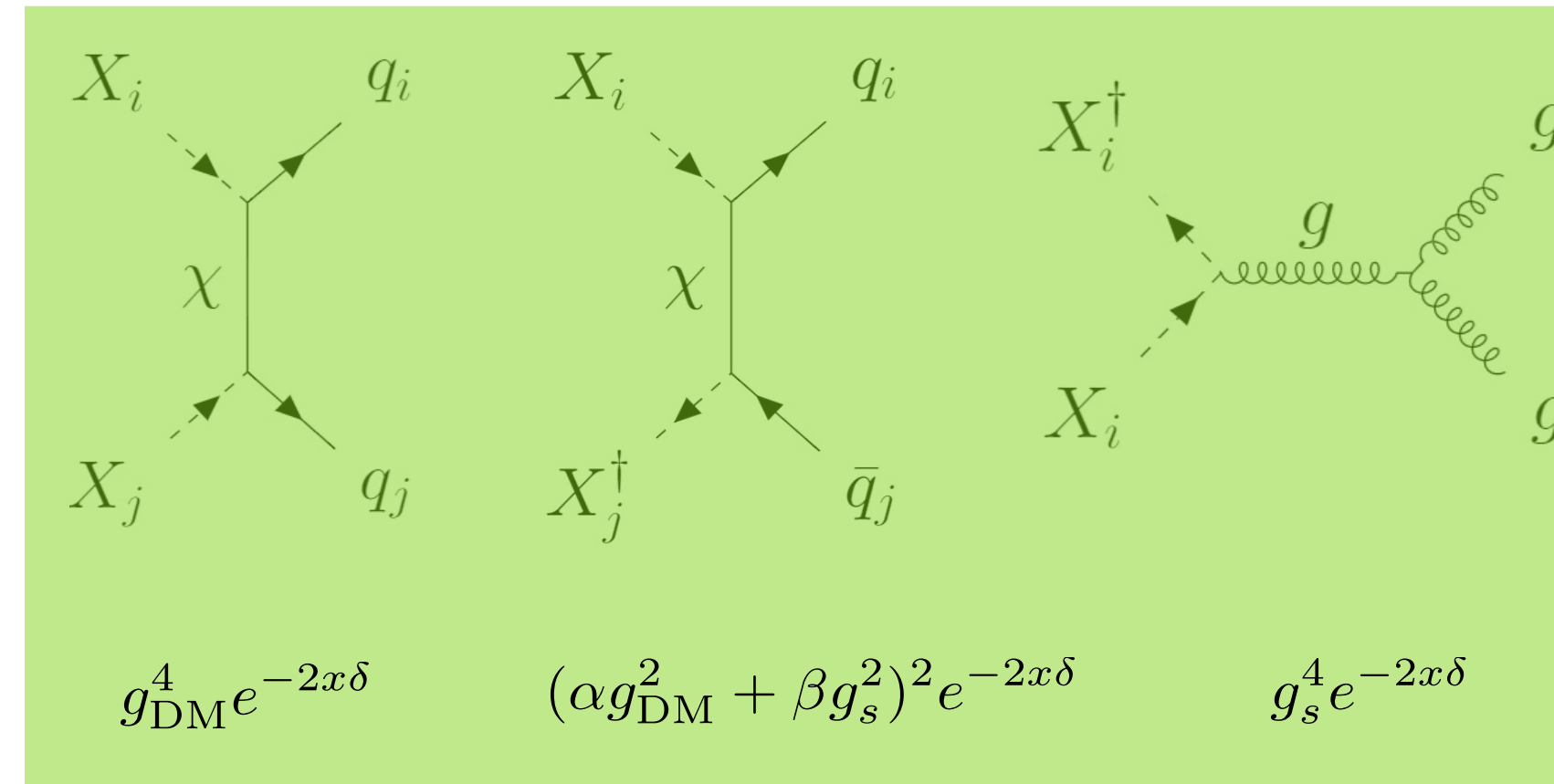
$$\delta \equiv \frac{m_X - m_\chi}{m_\chi} \equiv \frac{\Delta m}{m_\chi}, \quad \Delta m \equiv m_X - m_\chi$$



Large mass gap,
only relevant process



Small mass gap, additional coannihilation channels become relevant



$$\frac{dn}{dt} + 3Hn = -\langle \sigma_{\text{eff}} v \rangle (n^2 - n_{\text{eq}}^2)$$

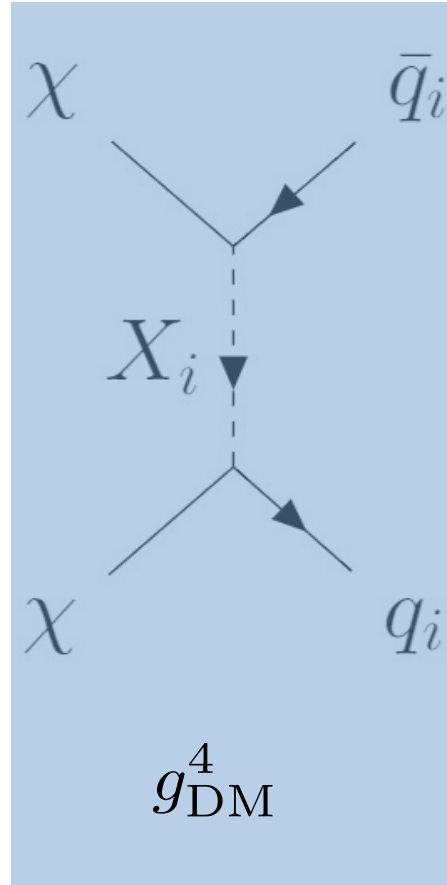
$$\langle \sigma_{\text{eff}} v_{\text{rel}} \rangle = \sum_{ij} \langle \sigma_{ij} v_{ij} \rangle \frac{n_{\text{eq},i}}{n_{\text{eq}}} \frac{n_{\text{eq},j}}{n_{\text{eq}}}$$

Coannihilating channels in
Boltzmann equations

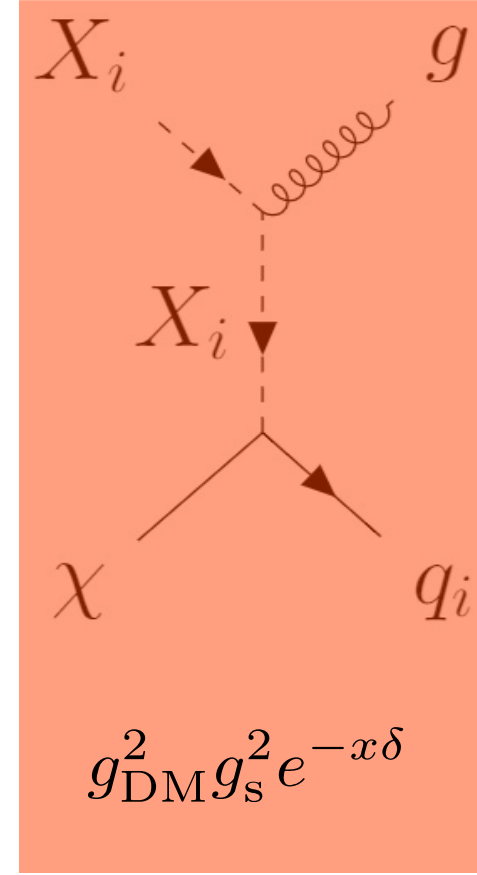
Coannihilations, Radiative and Non-Perturbative Effects in Relic Density Calculation

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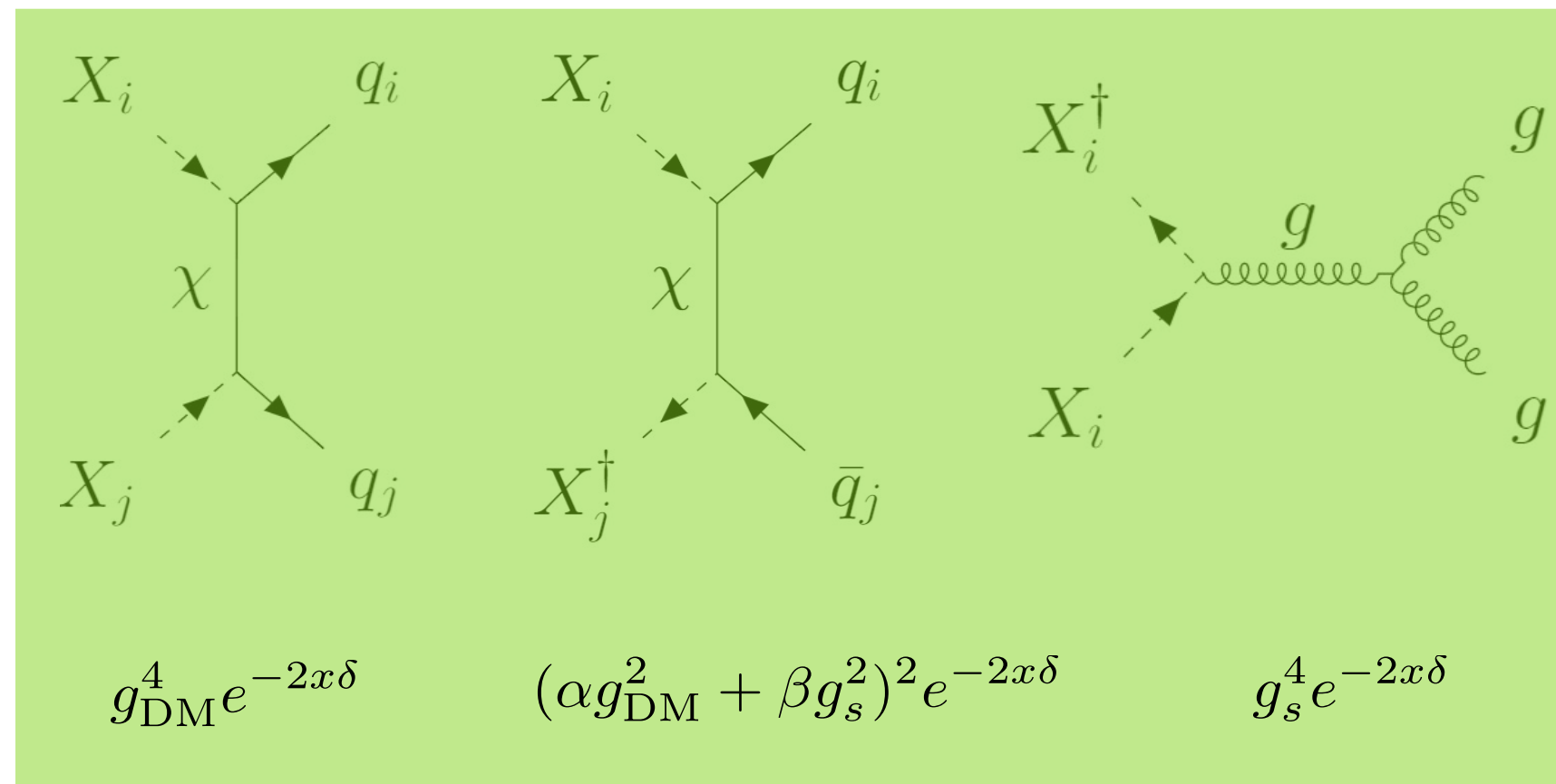
$$\delta \equiv \frac{m_X - m_\chi}{m_\chi} \equiv \frac{\Delta m}{m_\chi}, \quad \Delta m \equiv m_X - m_\chi$$



Large mass gap, only relevant process



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$$\frac{dn}{dt} + 3Hn = -\langle \sigma_{\text{eff}} v \rangle (n^2 - n_{\text{eq}}^2)$$

$$\langle \sigma_{\text{eff}} v_{\text{rel}} \rangle = \sum_{ij} \langle \sigma_{ij} v_{ij} \rangle \frac{n_{\text{eq},i} n_{\text{eq},j}}{n_{\text{eq}} n_{\text{eq}}}$$

Coannihilating channels in Boltzmann equations

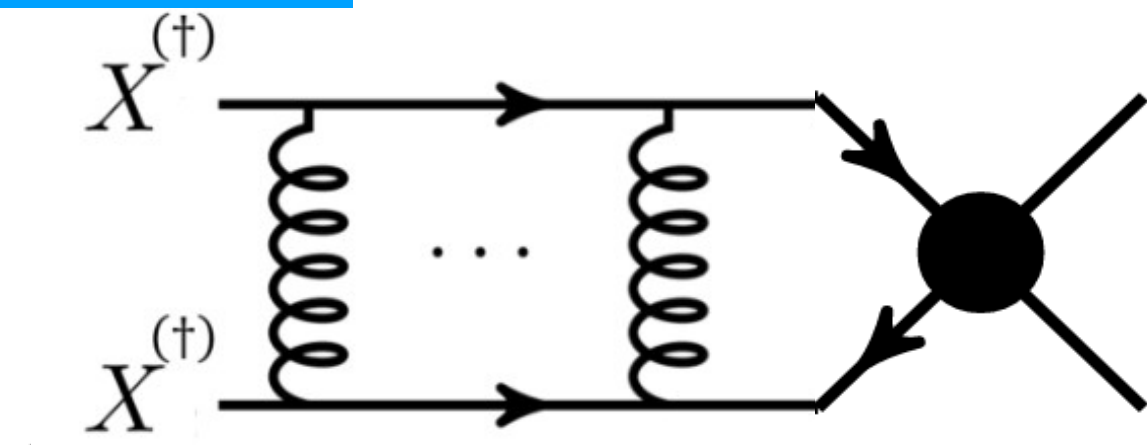
Assumptions:

- Coannihilating particle will later decay into DM $n = \sum_{i=1}^N n_i$
- Coannihilating particle in thermal equilibrium with DM particle $\Gamma(X + SM \longleftrightarrow \chi + SM) \gg H$

Two further novel effects can affect the velocity averaged cross section

Sommerfeld Enhancement and Bound State Formation in relic abundance

Sommerfeld Enhancement



$$\mathbf{3} \otimes \bar{\mathbf{3}} = \mathbf{1} \oplus \mathbf{8}$$

$$\mathbf{3} \otimes \mathbf{3} = \bar{\mathbf{3}} \oplus \mathbf{6}$$

- Relevant for $\alpha \sim v_{\text{rel}}$
- Exchange of n gluons lead to $\left(\frac{\alpha}{v_{\text{rel}}}\right)^n \sim 1$, which requires resummation

Non-relativistic enhancement of cross section due to an attractive potential

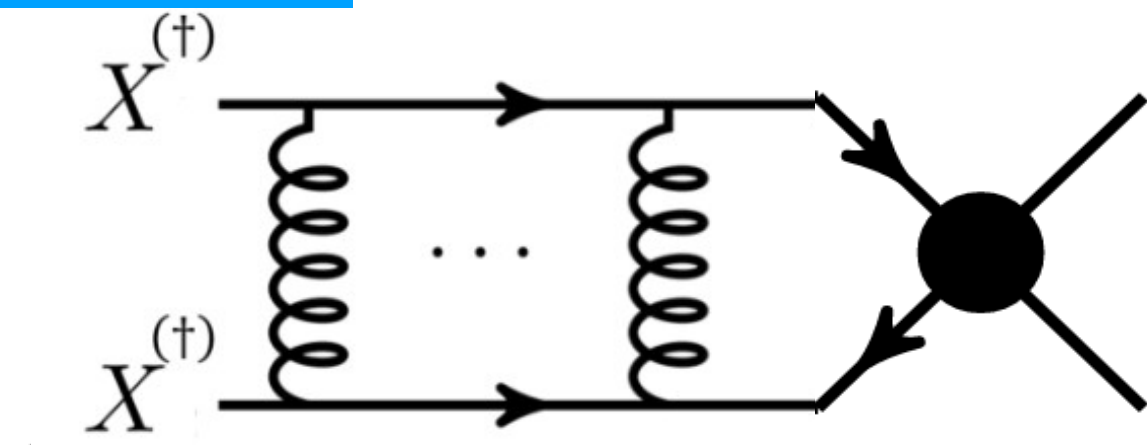
$$V(r)_{\mathbf{3} \otimes \bar{\mathbf{3}}} = \begin{cases} -\frac{4}{3} \frac{\alpha_s^S}{r} & [\mathbf{1}] \quad \text{attractive} \\ +\frac{1}{6} \frac{\alpha_s^S}{r} & [\mathbf{8}] \quad \text{repulsive} \end{cases}$$

$$\sigma_{\text{SE}} = S_0 \left(\frac{\alpha_s^S C_{[\hat{\mathbf{R}}]}}{v_{\text{rel}}} \right) \sigma_0$$

Enhancement for attractive potential

Sommerfeld Enhancement and Bound State Formation in relic abundance

Sommerfeld Enhancement



$$\mathbf{3} \otimes \bar{\mathbf{3}} = \mathbf{1} \oplus \mathbf{8}$$

$$\mathbf{3} \otimes \mathbf{3} = \bar{\mathbf{3}} \oplus \mathbf{6}$$

- Relevant for $\alpha \sim v_{\text{rel}}$
- Exchange of n gluons lead to $\left(\frac{\alpha}{v_{\text{rel}}}\right)^n \sim 1$, which requires resummation

Non-relativistic enhancement of cross section due to an attractive potential

$$V(r)_{\mathbf{3} \otimes \bar{\mathbf{3}}} = \begin{cases} -\frac{4}{3} \frac{\alpha_s^S}{r} & [\mathbf{1}] \quad \text{attractive} \\ +\frac{1}{6} \frac{\alpha_s^S}{r} & [\mathbf{8}] \quad \text{repulsive} \end{cases}$$

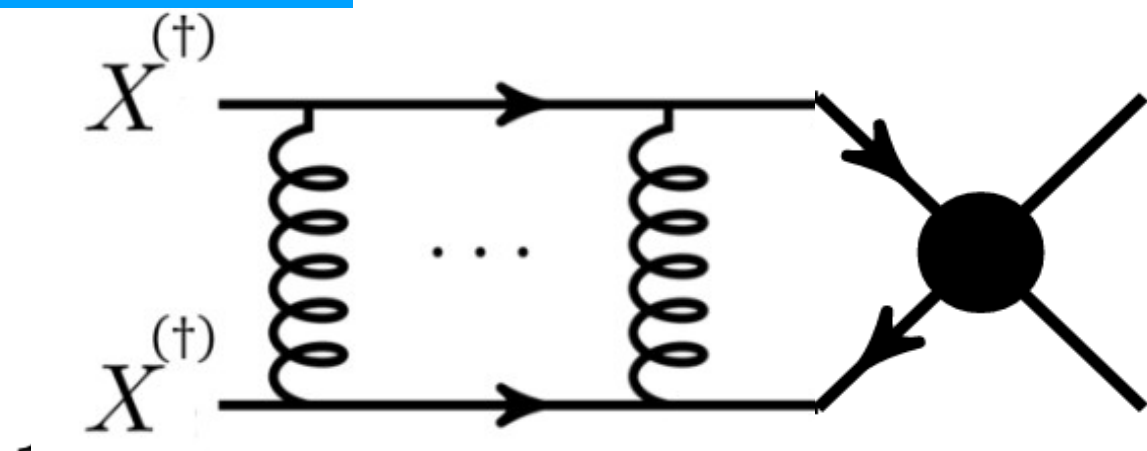
$$\sigma_{\text{SE}} = S_0 \left(\frac{\alpha_s^S C_{[\hat{\mathbf{R}}]}}{v_{\text{rel}}} \right) \sigma_0$$

Enhancement for attractive potential

Bound State Formation

Sommerfeld Enhancement and Bound State Formation in relic abundance

Sommerfeld Enhancement



$$3 \otimes \bar{3} = 1 \oplus 8$$

$$3 \otimes 3 = \bar{3} \oplus 6$$

Non-relativistic enhancement of cross section due to an attractive potential

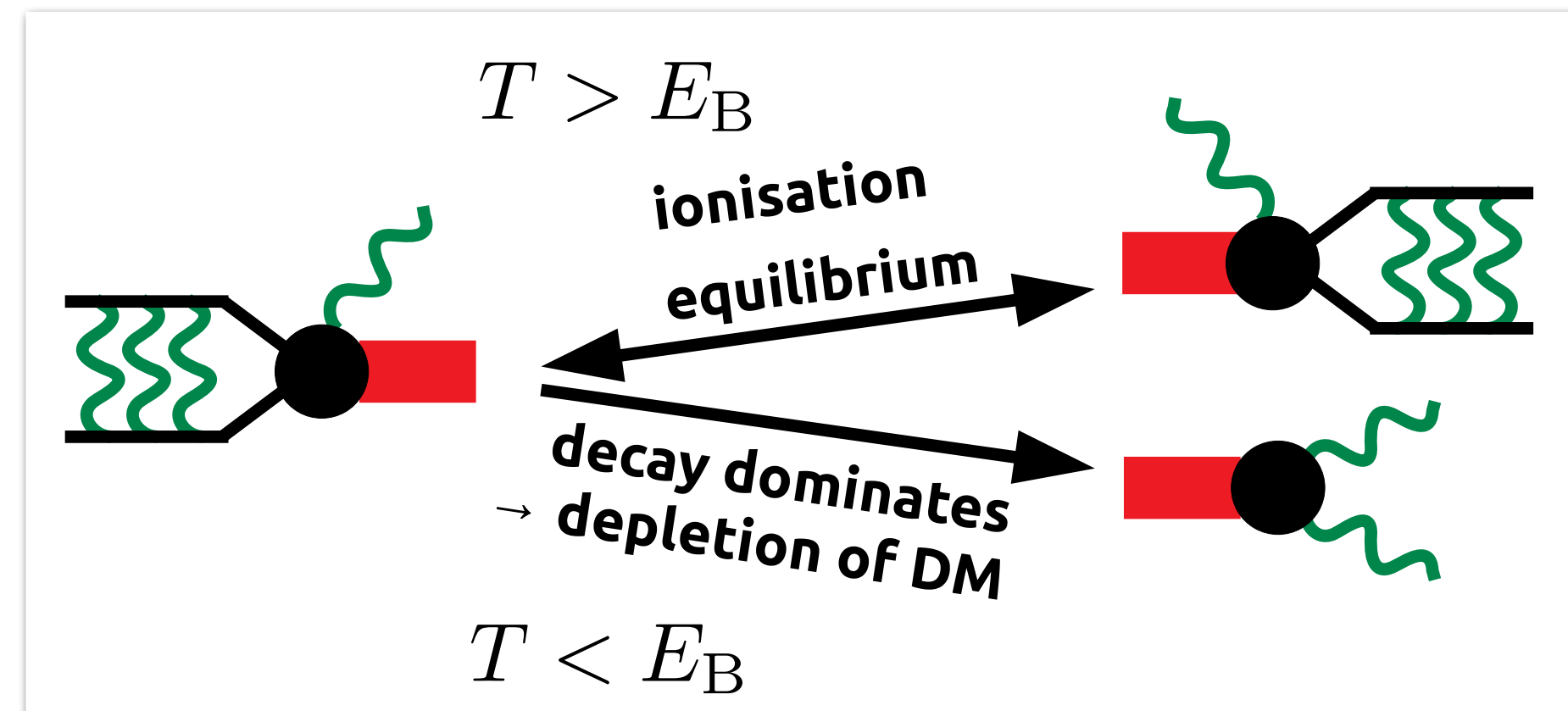
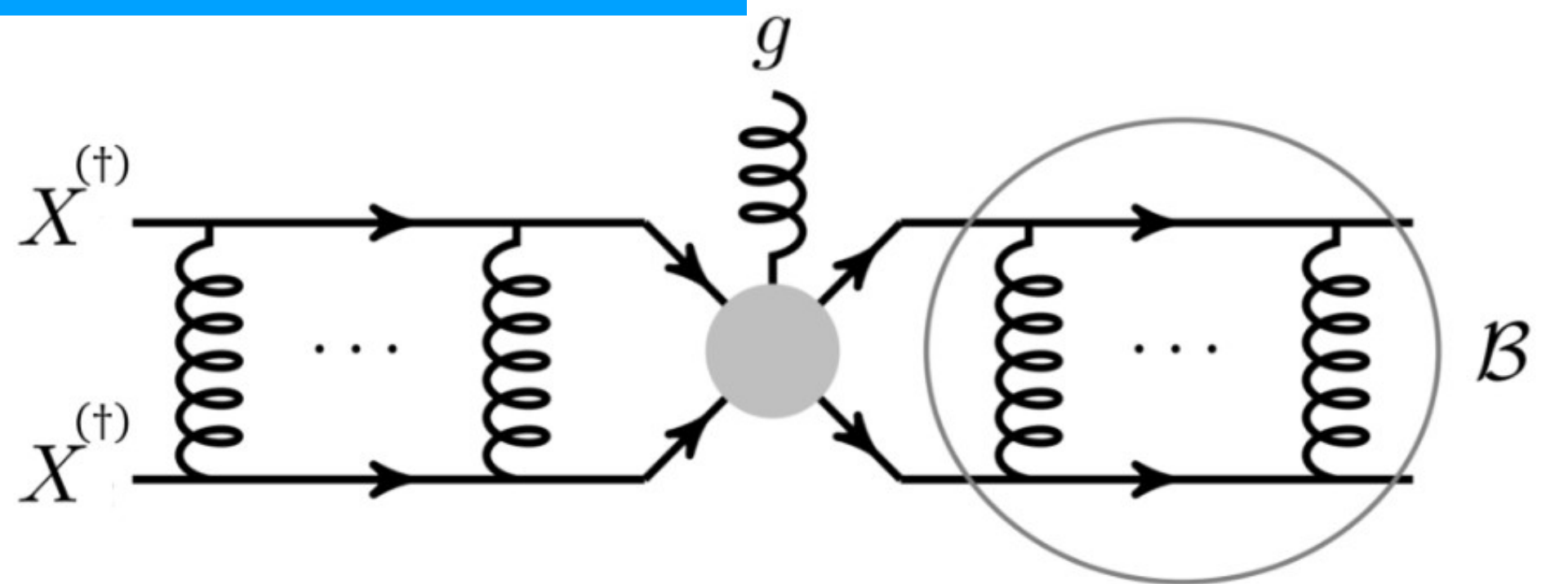
$$V(r)_{3 \otimes \bar{3}} = \begin{cases} -\frac{4}{3} \frac{\alpha_s^S}{r} & [1] \quad \text{attractive} \\ +\frac{1}{6} \frac{\alpha_s^S}{r} & [8] \quad \text{repulsive} \end{cases}$$

$$\sigma_{SE} = S_0 \left(\frac{\alpha_s^S C_{[\hat{R}]}}{v_{rel}} \right) \sigma_0$$

Enhancement for attractive potential

- Relevant for $\alpha \sim v_{rel}$
- Exchange of n gluons lead to $\left(\frac{\alpha}{v_{rel}}\right)^n \sim 1$, which requires resummation

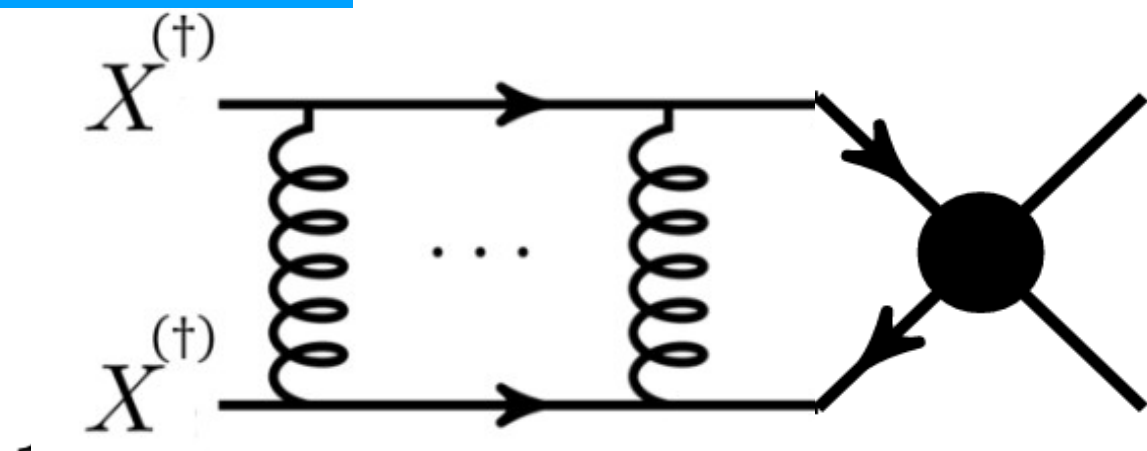
Bound State Formation



bound state formation
bound state ionisation
bound state decay

Sommerfeld Enhancement and Bound State Formation in relic abundance

Sommerfeld Enhancement



$$3 \otimes \bar{3} = 1 \oplus 8$$

$$3 \otimes 3 = \bar{3} \oplus 6$$

Non-relativistic enhancement of cross section due to an attractive potential

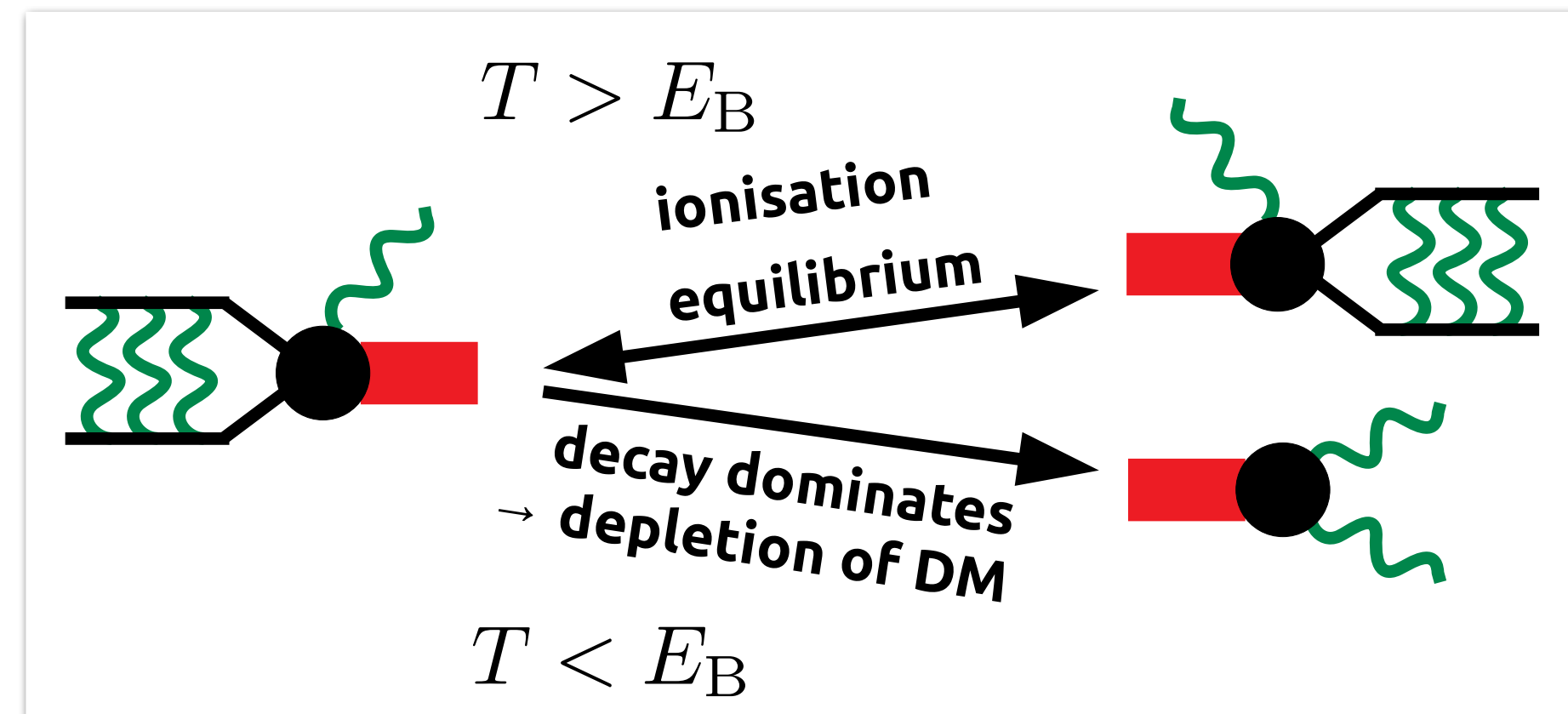
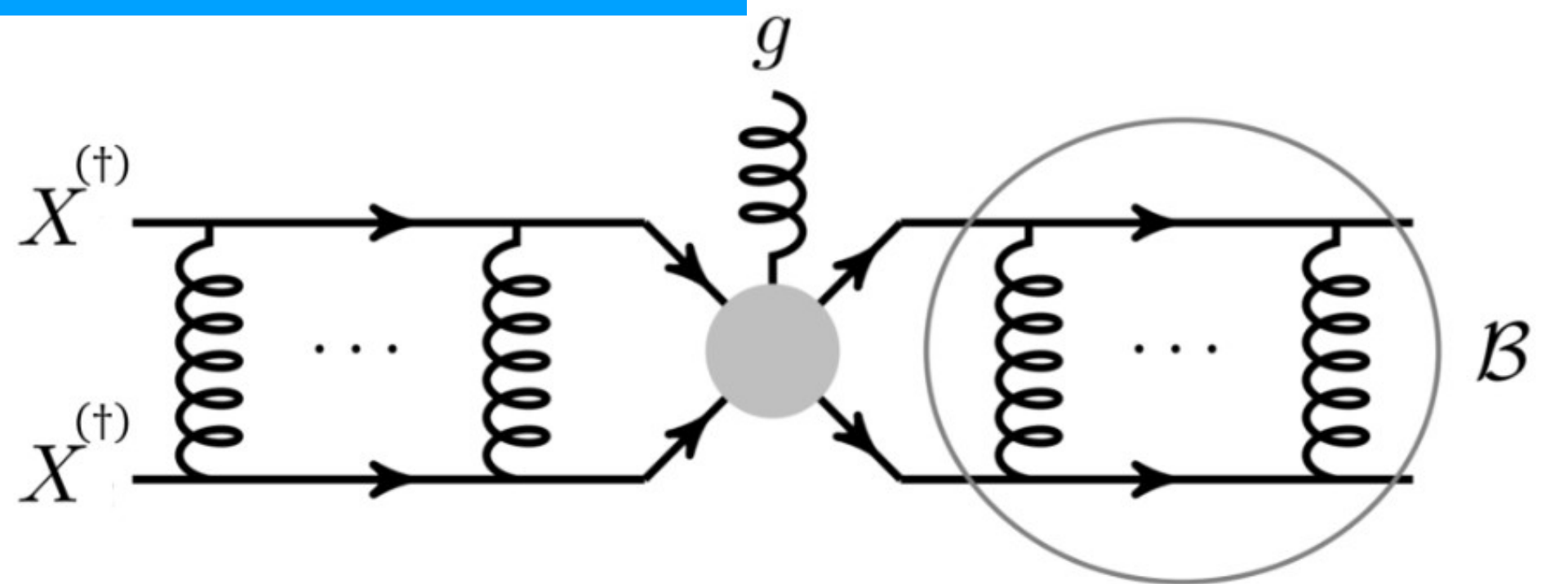
$$V(r)_{3 \otimes \bar{3}} = \begin{cases} -\frac{4}{3} \frac{\alpha_s^S}{r} & [1] \quad \text{attractive} \\ +\frac{1}{6} \frac{\alpha_s^S}{r} & [8] \quad \text{repulsive} \end{cases}$$

$$\sigma_{SE} = S_0 \left(\frac{\alpha_s^S C_{[\hat{R}]}}{v_{rel}} \right) \sigma_0$$

Enhancement for attractive potential

- Relevant for $\alpha \sim v_{rel}$
- Exchange of n gluons lead to $\left(\frac{\alpha}{v_{rel}}\right)^n \sim 1$, which requires resummation

Bound State Formation



bound state formation
bound state ionisation
bound state decay

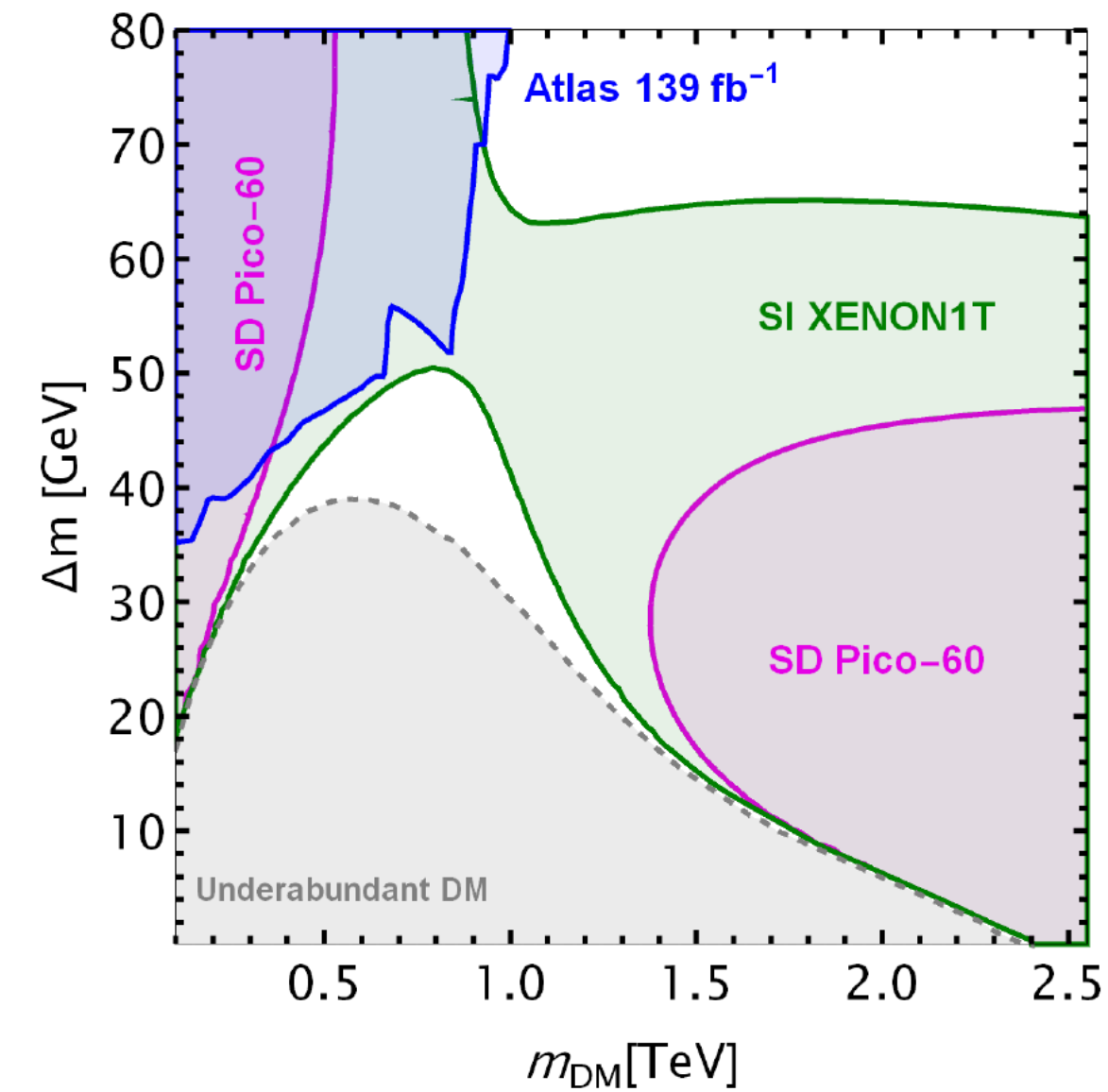
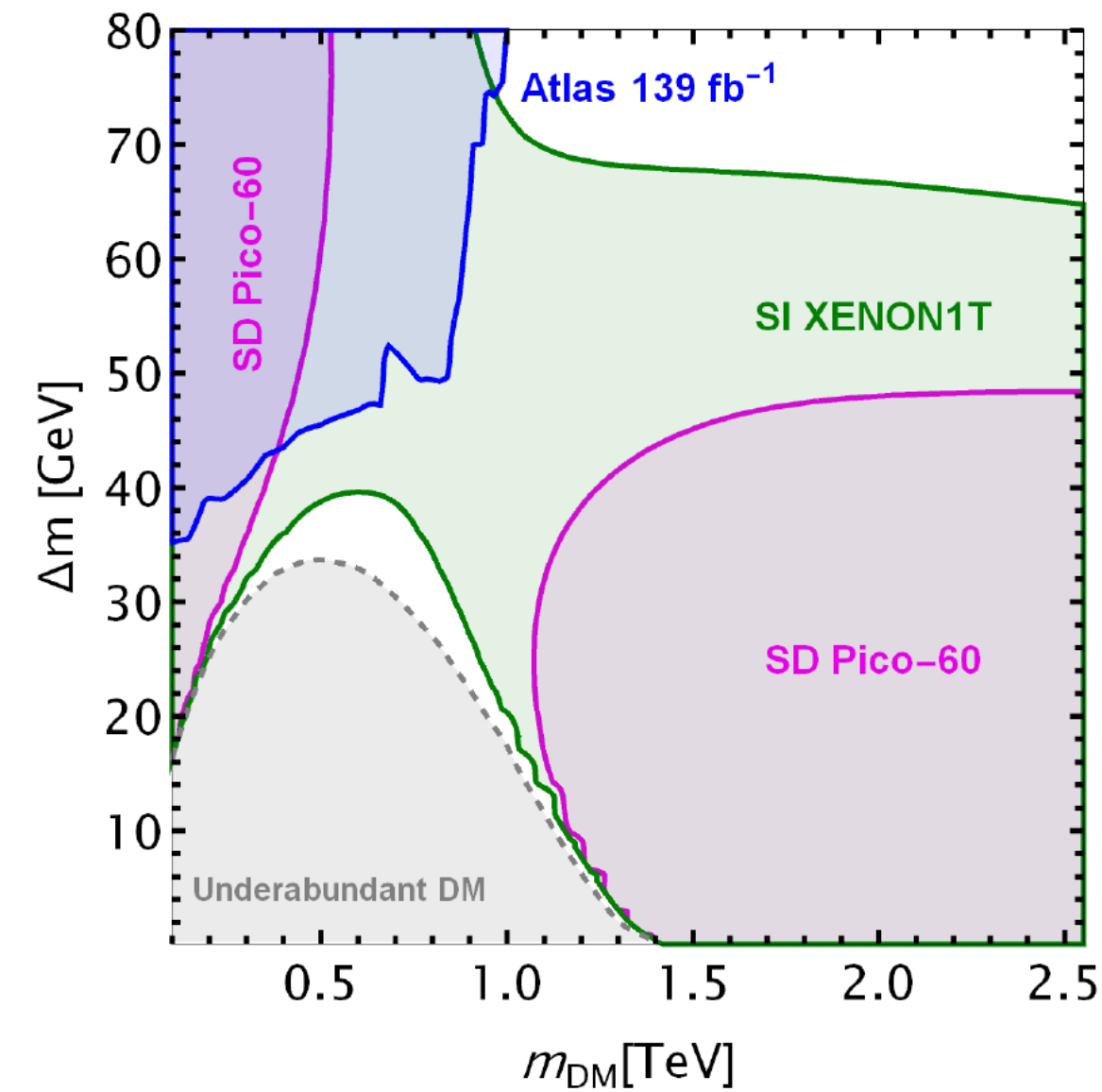
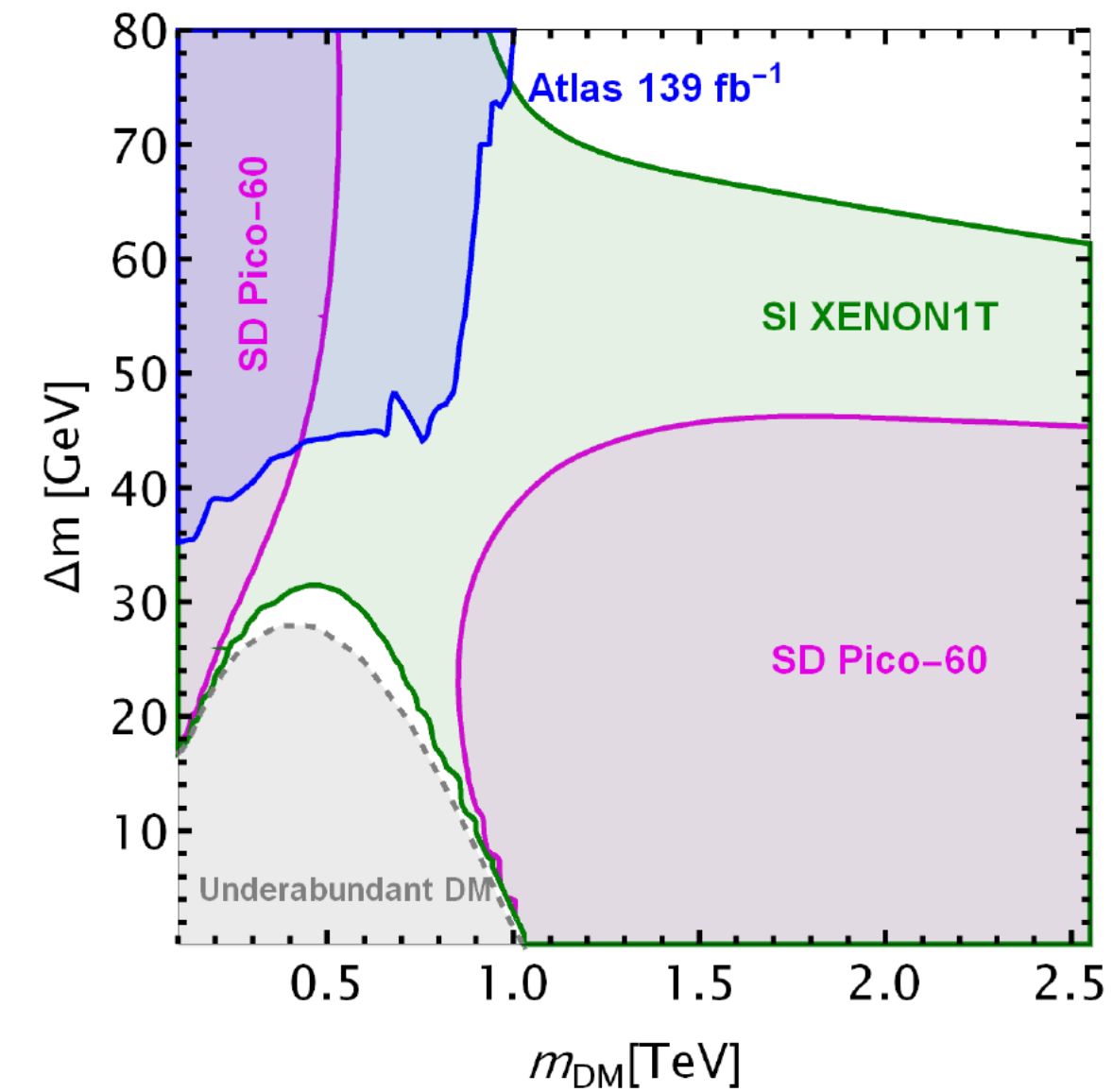
$$\langle \sigma_{eff} v_{rel} \rangle = \sum_{ij} \left\langle S \left(\frac{\alpha}{v_{ij}} \right) \cdot \sigma_{ij} v_{ij} \right\rangle \frac{n_{eq,i} n_{eq,j}}{n_{eq}^2} + \langle \sigma_{BSF} v_{rel} \rangle_{eff} \left(\frac{n_{eq,X}}{n_{eq}} \right)^2$$

Impact of Sommerfeld Enhancement and bound states

perturbative only

+ Sommerfeld effect

+ bound states



- DD and LHC searches set upper bound on g_{DM}
- Requirement of non-overproduction sets lower bound on g_{DM}

1. The model tightly constrained by Direct Detection,
2. Model parameters then relaxed by SE + BSF.

- **Correction on g_{DM} due to SE and BSF lead to altered exclusion limits**
- **opens up parameter space that was previously thought to be excluded**

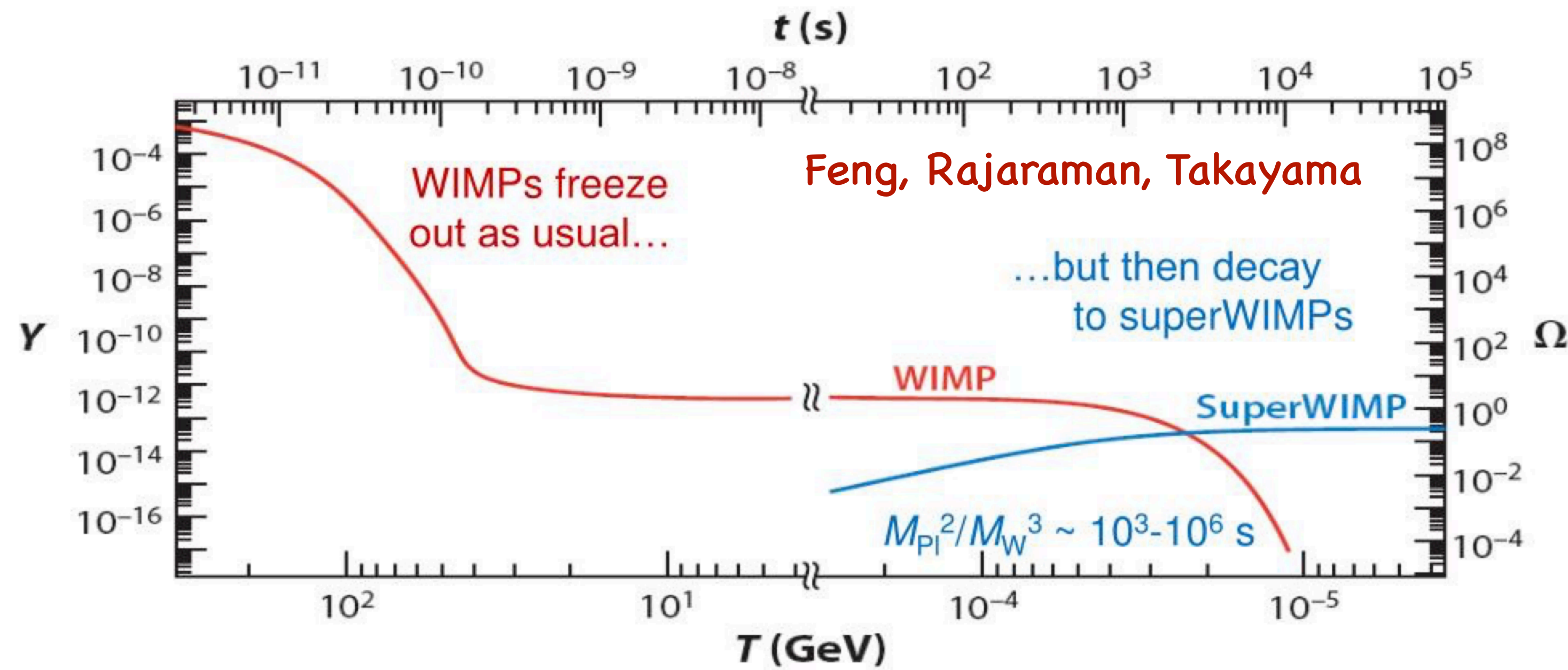
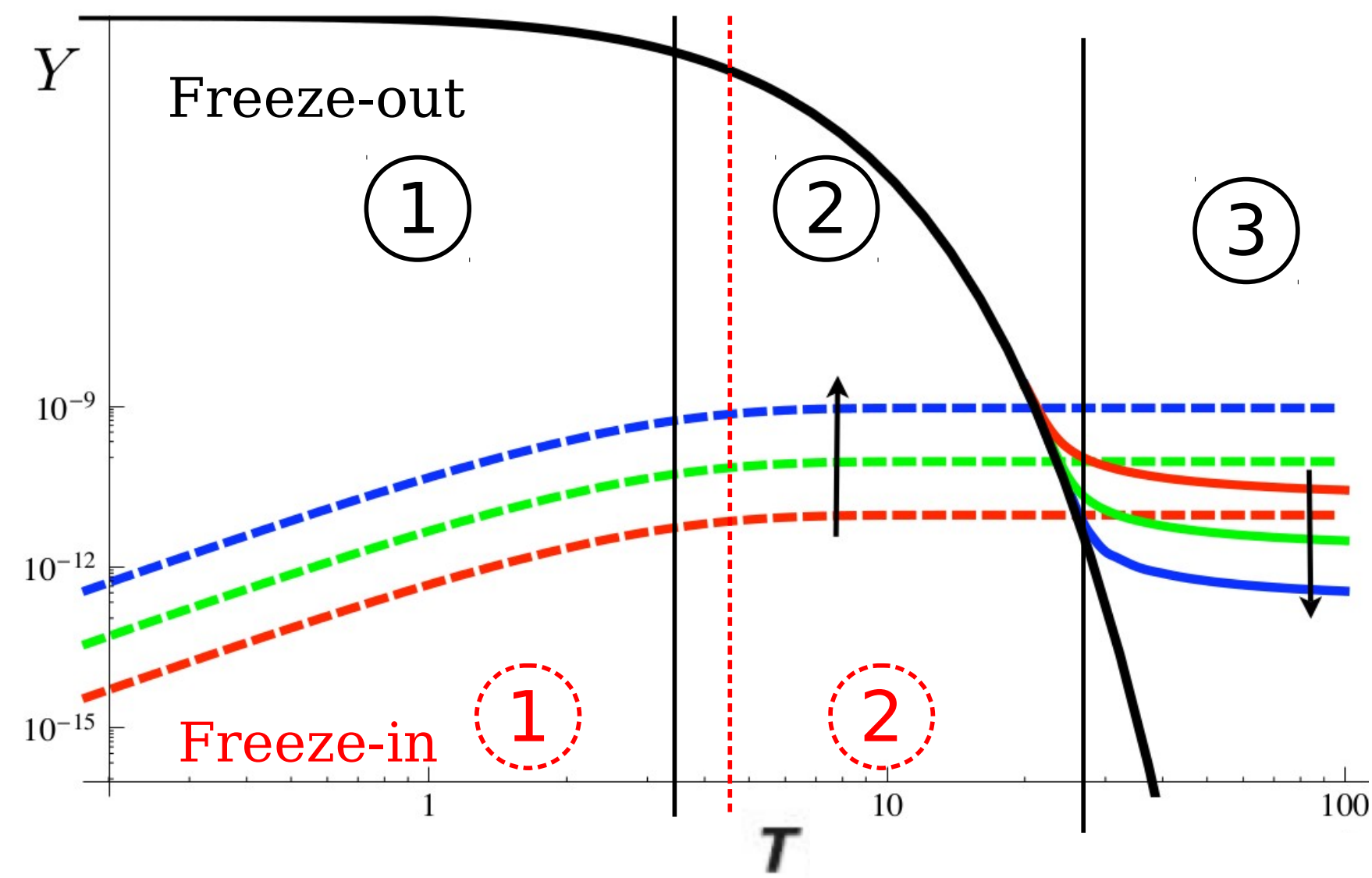
Alternative Mechanisms of Dark Matter Production

(Non-) Thermal mechanisms

Freeze-In

Super WIMPS

Tweaked from arXiv:0911.1120



Both set ups characterised by extremely weakly interacting particles

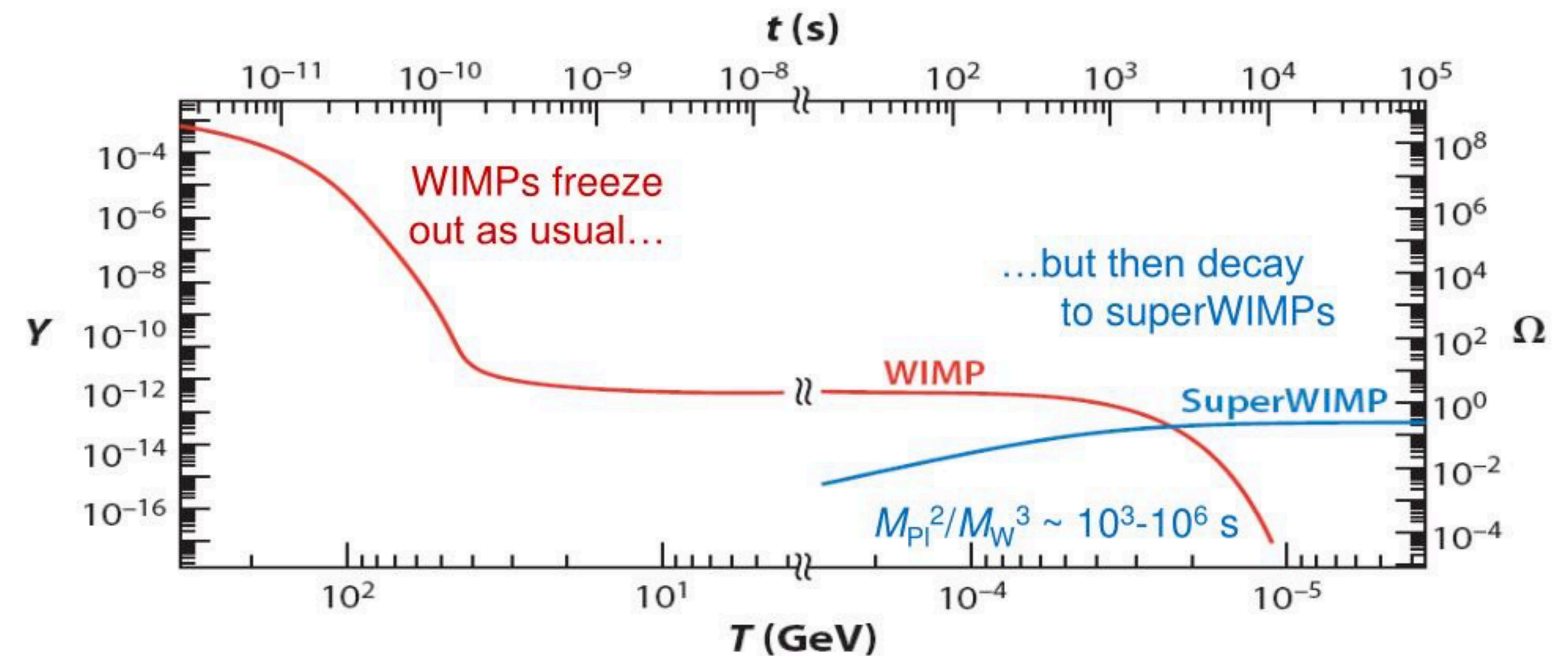
Cosmological Probes of SuperWIMP Dark Matter

What if Neutralinos are not the Lightest SUSY particle, but next to lightest?

- In Supergravity inspired Supersymmetry scenarios, the gravitino can be the lightest particle, and very very weakly coupled to the neutralino, leading to a long lived neutralino (decaying to a gravitino + a Photon).
- The neutralino (a WIMP) can Freeze-out, and long afterwards decay to gravitino (**SuperWIMP**).
- Being extremely long lived it will escape the detector without a trace (No prompt searches).
- However it will leave definite signatures in Cosmology due to energy dump as photon.

Feng, Rajaraman, Takayama hep-ph/0306204

The gravitino mass is a free parameter related to the SUSY breaking scale F



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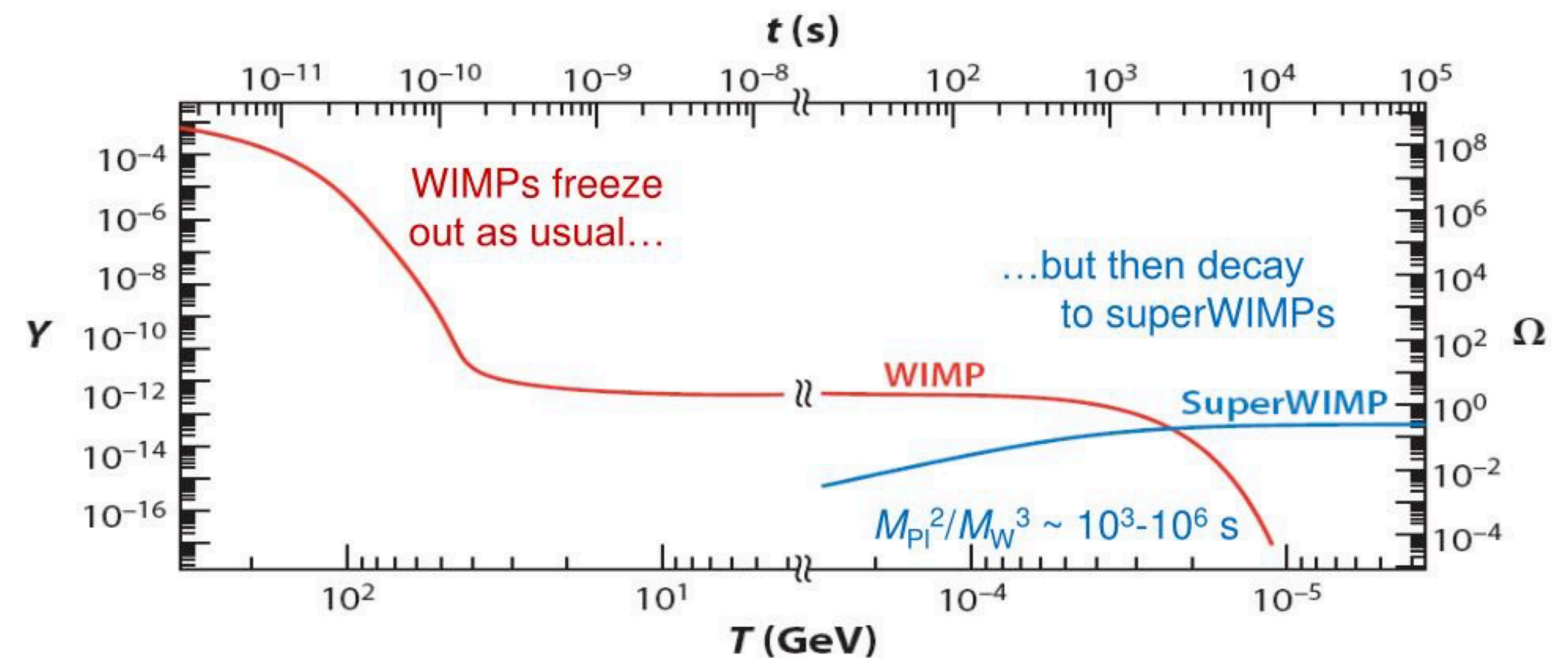
The gravitino mass is a free parameter related to the SUSY breaking scale F

$$m_{\tilde{G}} \simeq \langle F \rangle / m_{\text{pl}}$$

$$\Gamma(\chi_1^0 \rightarrow \tilde{G}\gamma) = \frac{m_{\chi_1^0}^5 \cos^2 \theta_W}{6\pi m_{\text{Pl}}^2 m_{\tilde{G}}^2} \epsilon_{\text{SM}}^3 \left(1 + 3 \frac{m_{\tilde{G}}^2}{m_{\chi_1^0}^2}\right)$$

$$\simeq 1.1 \times 10^{-14} \text{ s}^{-1} \epsilon_{\text{SM}}^3 \left(1 + 3 \frac{m_{\tilde{G}}^2}{m_{\chi_1^0}^2}\right)$$

$$\times \left(\frac{m_{\chi_1^0}}{\text{GeV}}\right)^5 \left(\frac{\text{GeV}}{m_{\tilde{G}}}\right)^2,$$

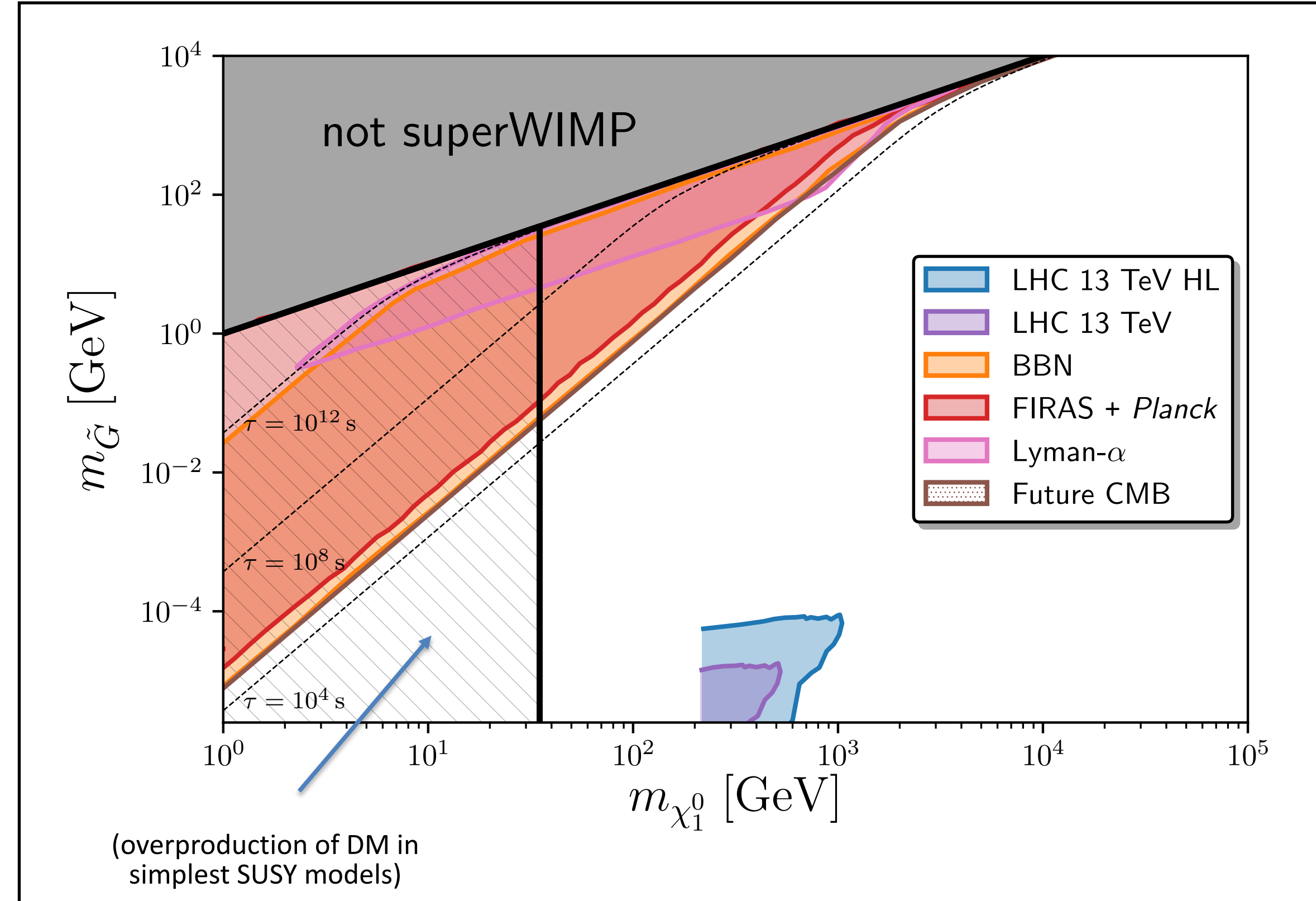
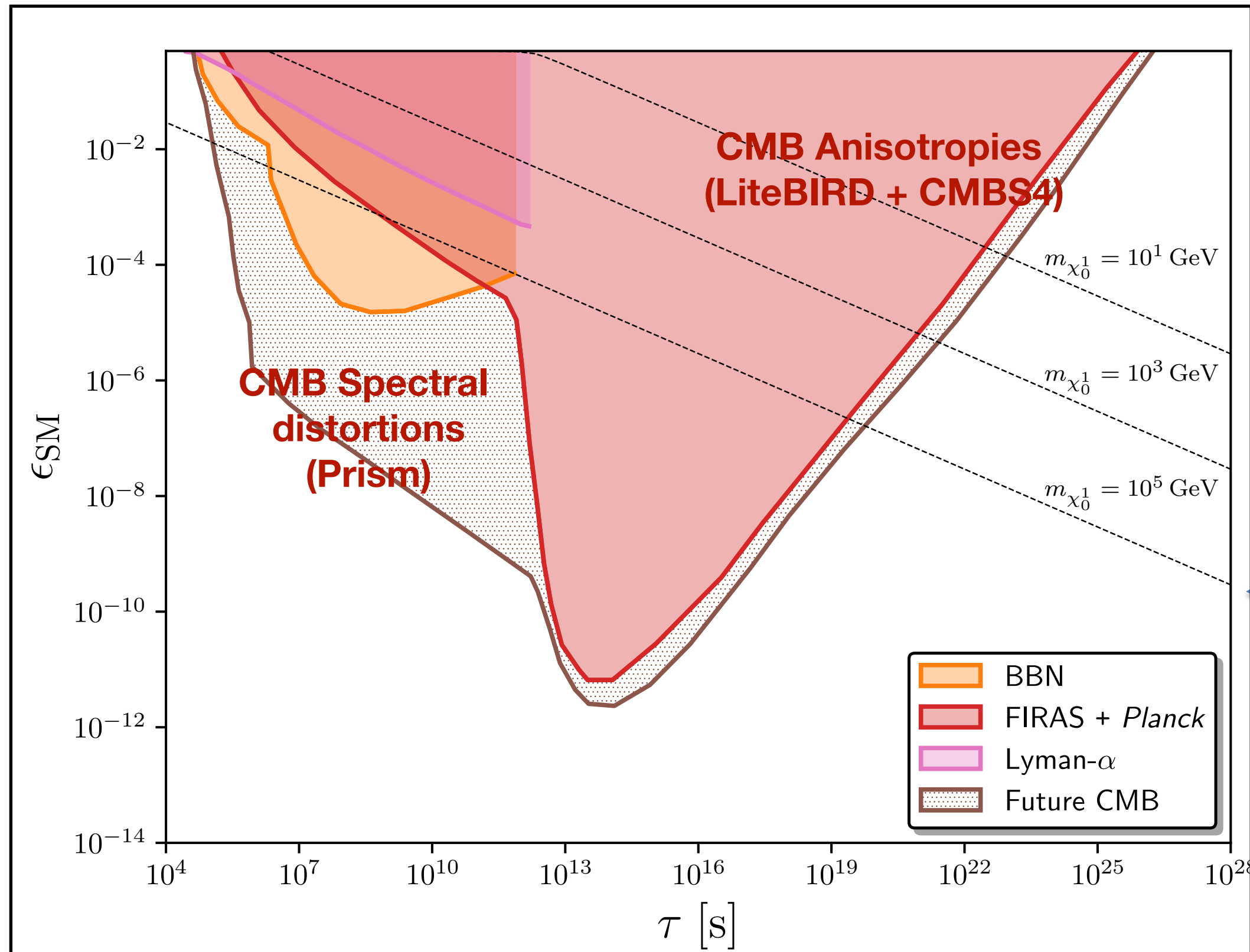


Extremely long lived

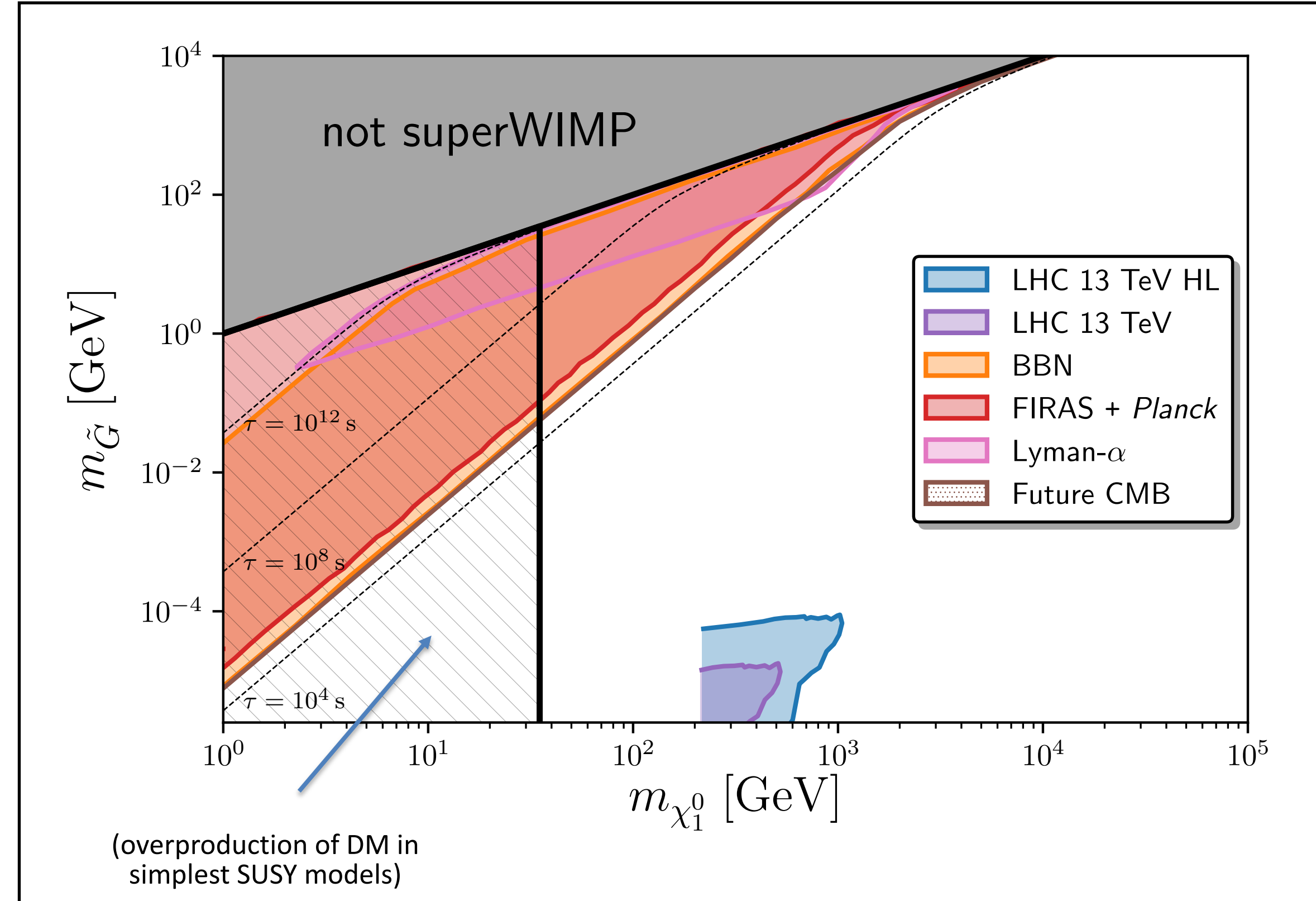
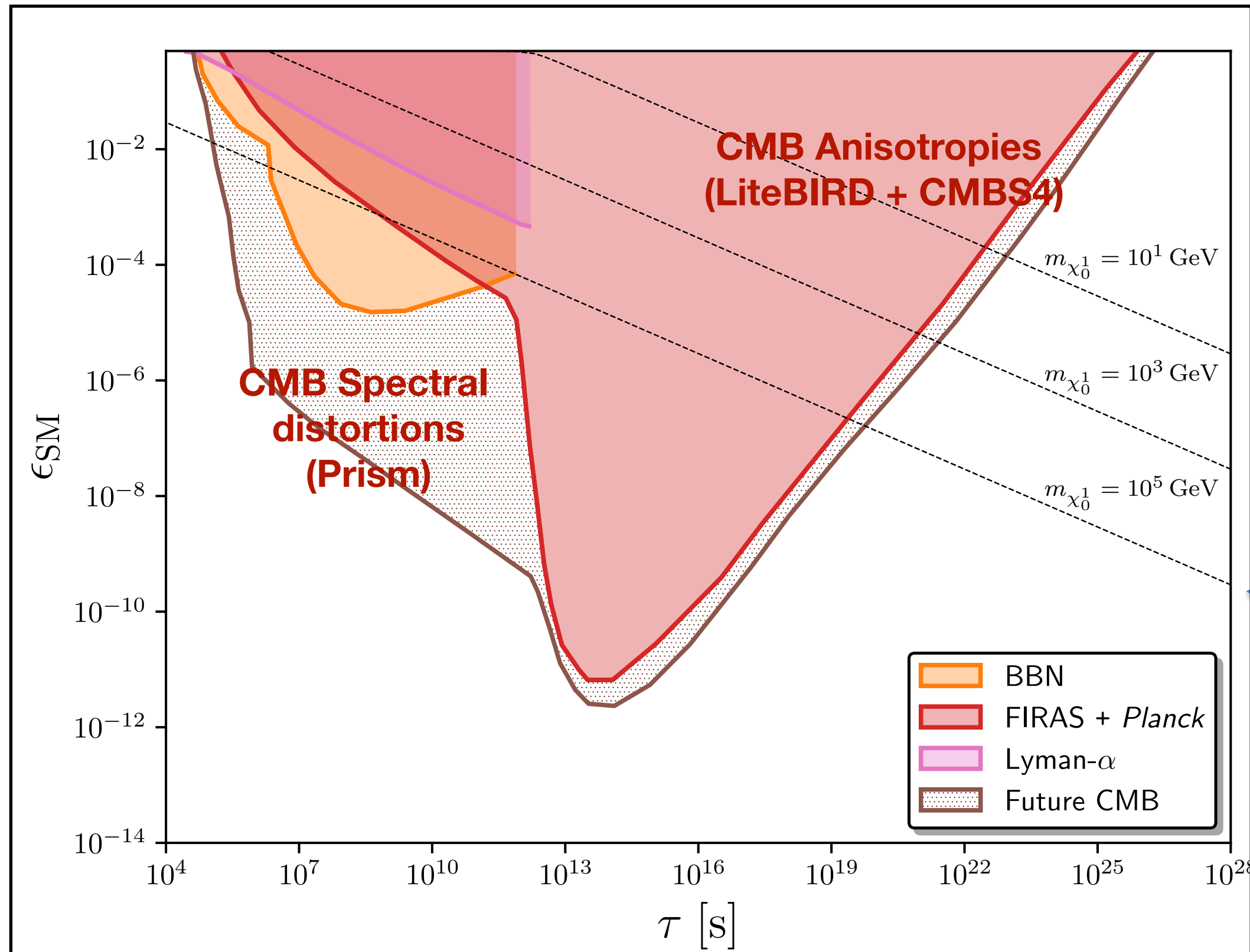
$$L = c\tau \simeq 2.8 \times 10^{22} \left(\frac{\text{GeV}}{m_{\chi_1^0}}\right)^3 \frac{(1 - 2\epsilon_{\text{SM}})}{\epsilon_{\text{SM}}^3 (1 + 3(1 - 2\epsilon_{\text{SM}}))} m$$

$$\epsilon_{\text{SM}} \equiv \frac{E_\gamma}{m_{\chi_1^0}} = \frac{m_{\chi_1^0}^2 - m_{\tilde{G}}^2}{2m_{\chi_1^0}^2}$$

Cosmological Constraints on SuperWIMPs



Cosmological Constraints on SuperWIMPs



Cosmological constraints on Supersymmetric superWIMPs

Meera Deshpande^a, Jan Hamann^b, Dipan Sengupta^a,

Martin White^a, Anthony G. Williams^a, and Yvonne Y. Y. Wong^b

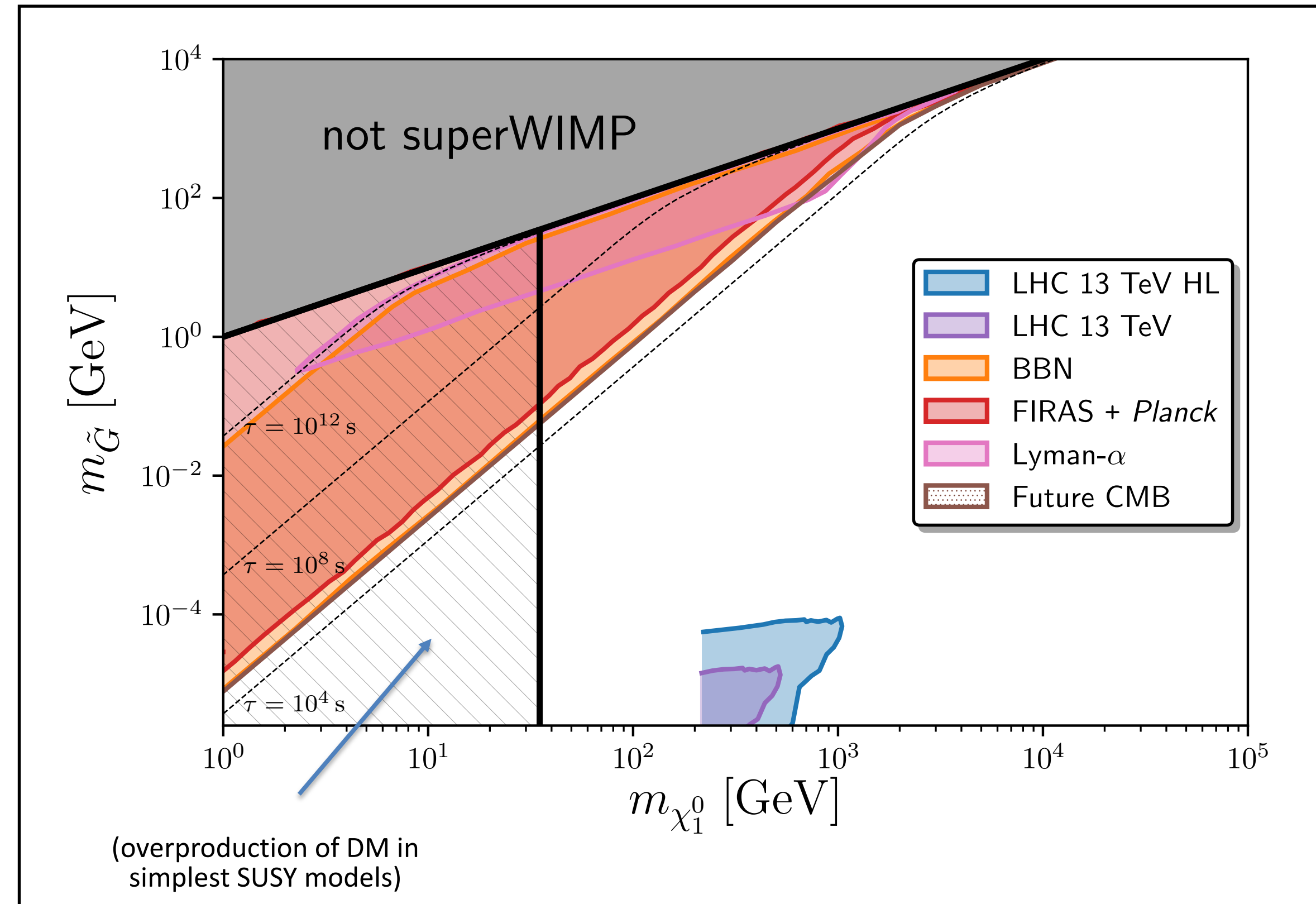
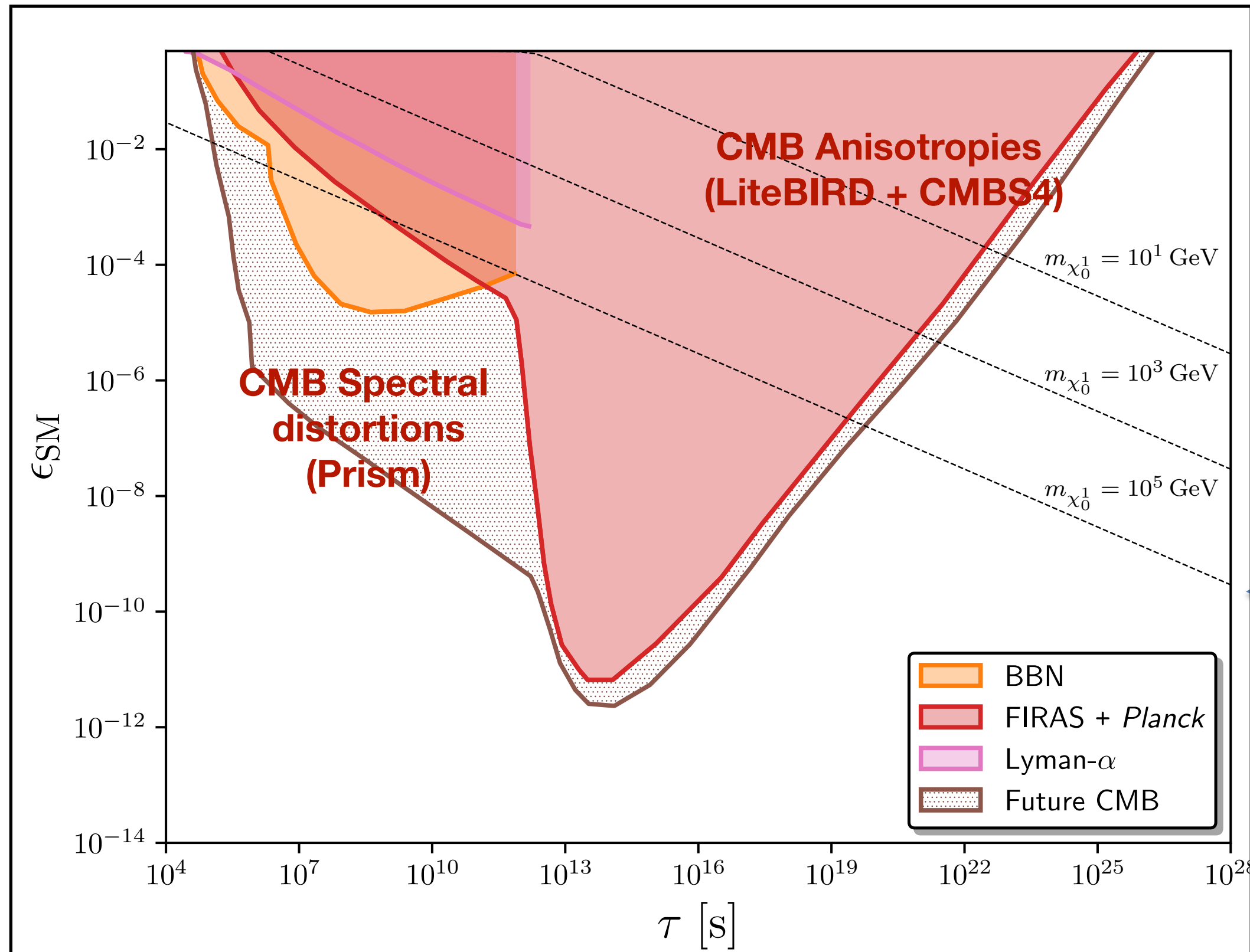
^aARC Centre of Excellence for Dark Matter Particle Physics,

Department of Physics, The University of Adelaide, Adelaide SA 5005, Australia and

^bSydney Consortium for Particle Physics and Cosmology, School of Physics,

The University of New South Wales, Sydney NSW 2052, Australia

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 The University of New South Wales, Sydney NSW 2052, Australia

C. Arina, **DS**, et al. To appear soon

DARK MATTER VIA t -CHANNEL PRODUCTION
 COSMOLOGY SECTION

A PREPRINT

LHC Dark Matter Working Group

A Simplified Freeze-in Model for LHC

Dark Matter populated through extremely weakly coupled systems is difficult to probe

Cosmology

Primordial nucleosynthesis

Lyman- α

Spectral Distortions of CMB

Most promising

Collider

Displaced objects

HSCPs

Mono-X

Disappearing tracks

Some parts of the parameter space

Astro and Ground Based Detection

Direct detection

Indirect detection

Very difficult

A simplified Freeze-in Model for LHC

Consider an extension of the SM by a Z_2 -odd real singlet scalar s (DM) along with a Z_2 -odd vector-like SU(2)-singlet fermion F (parent).

$$\mathcal{L} = \mathcal{L}_{\text{SM}} + \partial_\mu s \partial^\mu s - \frac{\mu_s^2}{2} s^2 + \frac{\lambda_s}{4} s^4 + \lambda_{sh} s^2 (H^\dagger H) + \bar{F} (iD) F - m_F \bar{F} F - \sum_f y_s^f \left(s \bar{F} \left(\frac{1 + \gamma^5}{2} \right) f + \text{h.c.} \right)$$

- ▶ $f = \{e, \mu, \tau\} \rightarrow F$ transforms as **(1, 1, -1)**
"Heavy lepton"
- ▶ $f = \{u, c, t\} \rightarrow F$ transforms as **(3, 1, -2/3)**
"Heavy u -quark"
- ▶ $f = \{d, s, b\} \rightarrow F$ transforms as **(3, 1, 1/3)**
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Assuming that DM is mostly populated by F decays, we can relate the relic abundance with the parent particle lifetime:

$$c\tau \approx 4.5 \text{ m } \xi g_F \left(\frac{0.12}{\Omega_s h^2} \right) \left(\frac{m_s}{100 \text{ keV}} \right) \left(\frac{200 \text{ GeV}}{m_F} \right)^2 \left(\frac{102}{g_*(m_F/3)} \right)^{3/2} \left[\frac{\int_{m_F/T_R}^{m_F/T_0} dx x^3 K_1(x)}{3\pi/2} \right]$$

Freeze-in favours long lifetimes, unless

Dark matter is very light

The reheating temperature is low

- **Big-Bang Nucleosynthesis**

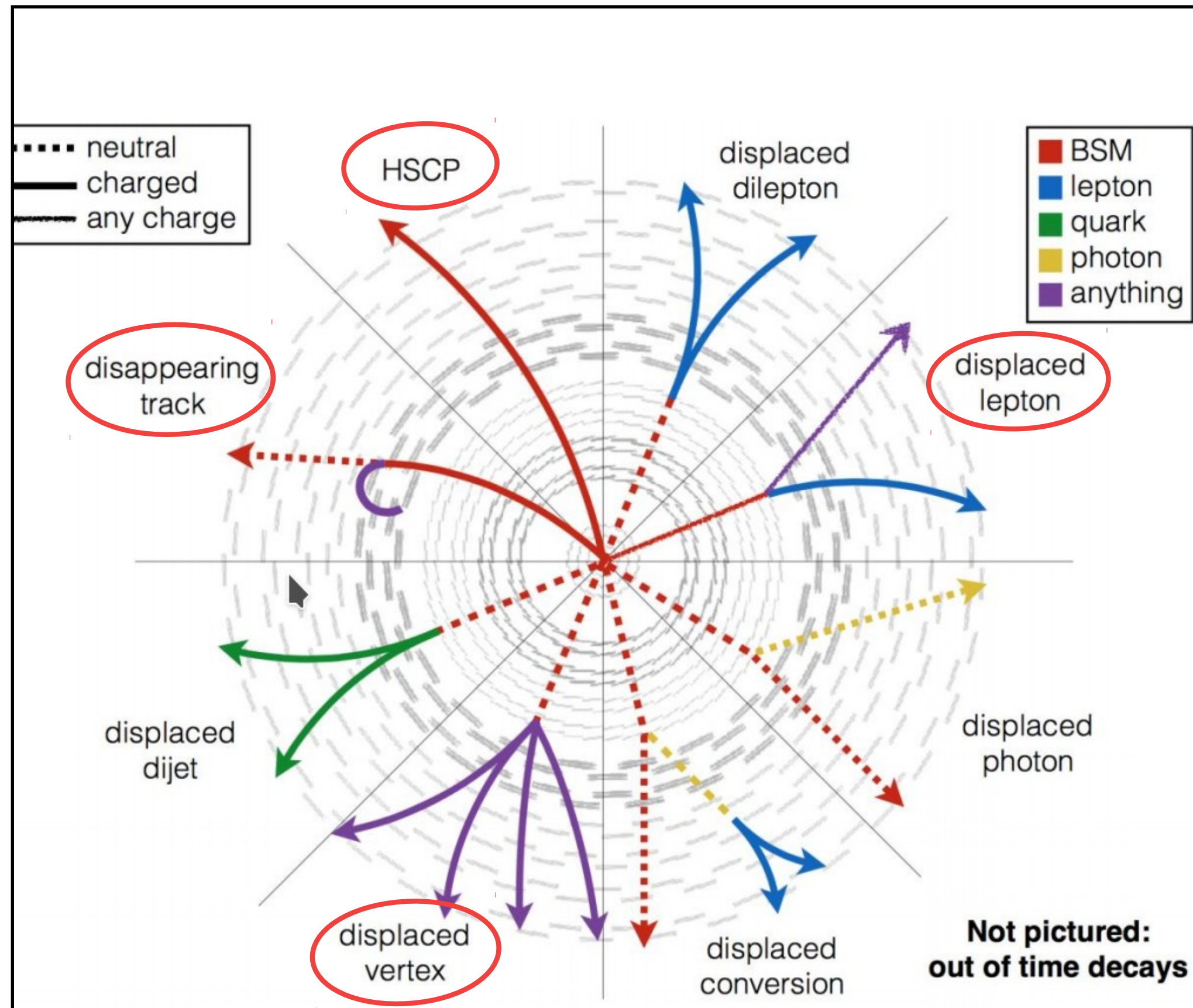
we consider $1 \text{ cm} < c\tau < 10^4 \text{ m} \rightarrow T \sim 150 \text{ MeV}$
 \rightarrow heavy fermions decay well before onset of BBN

- **Lyman- α forest**

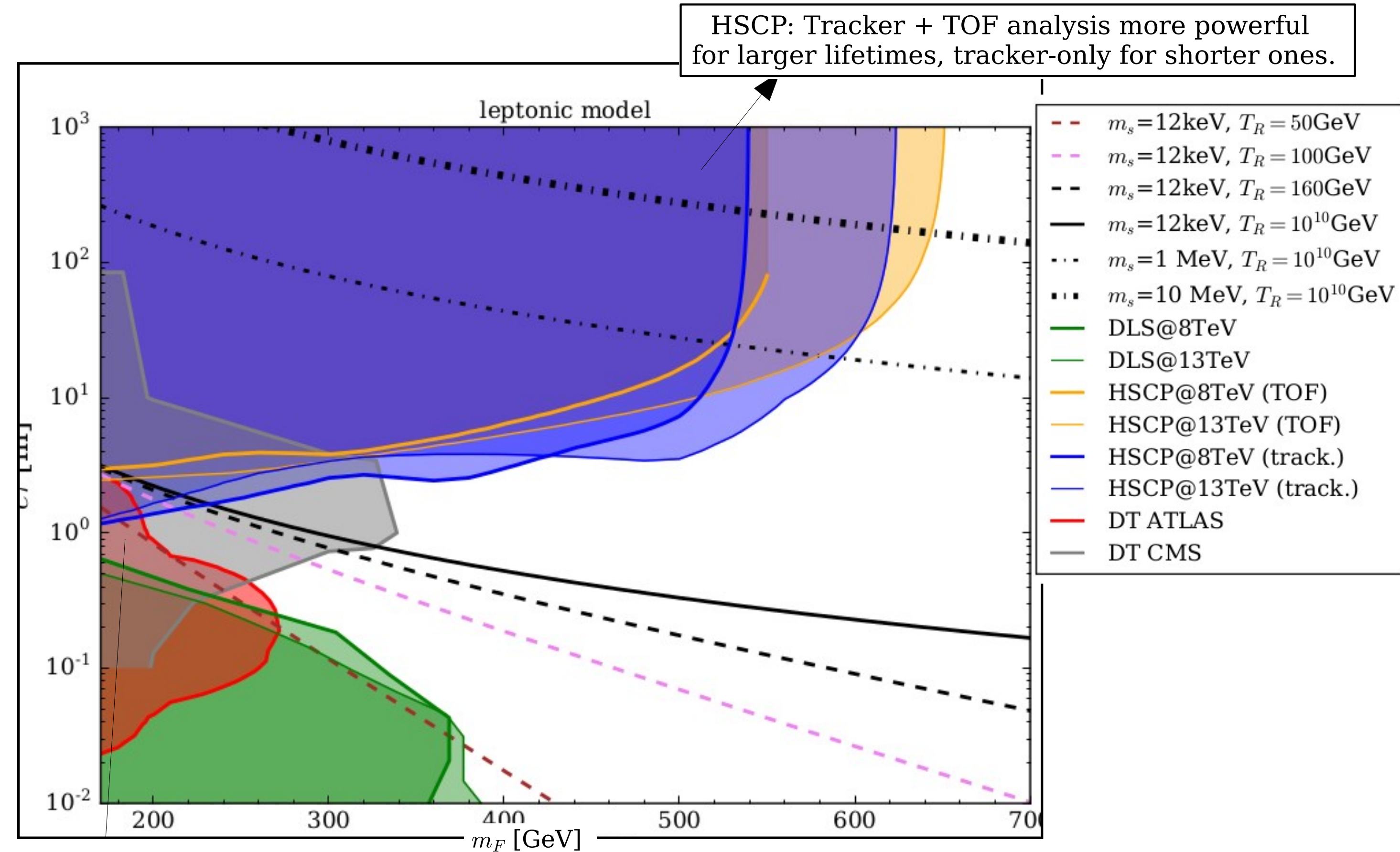
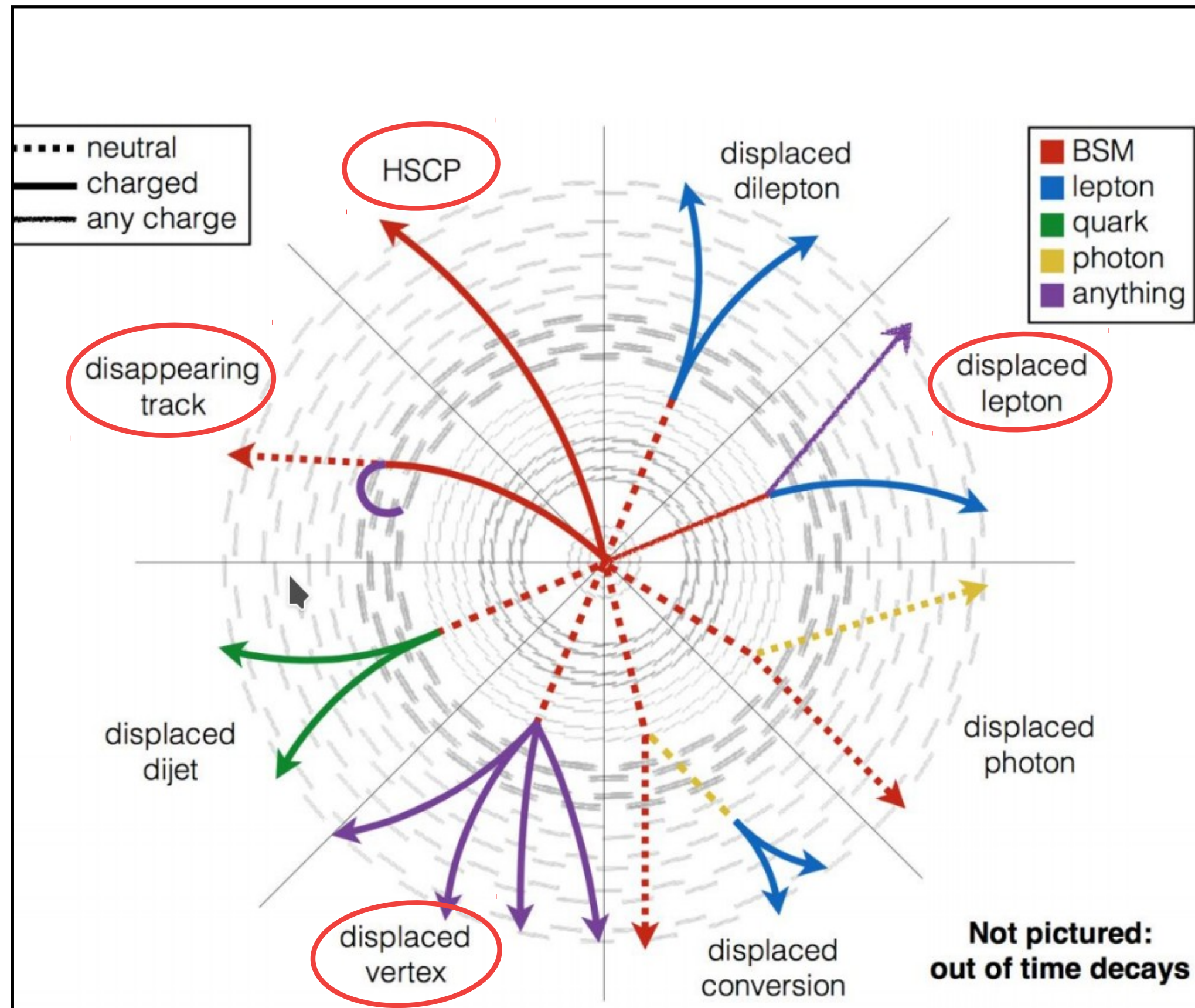
$$m_{\text{DM}} \gtrsim 12 \text{ keV} \left(\frac{\sum_i \text{BR}_i \Delta_i^\eta}{\sum_i \text{BR}_i} \right)^{1/\eta} \gtrsim 12 \text{ keV}$$

A simplified Freeze-in Model for LHC

A simplified Freeze-in Model for LHC

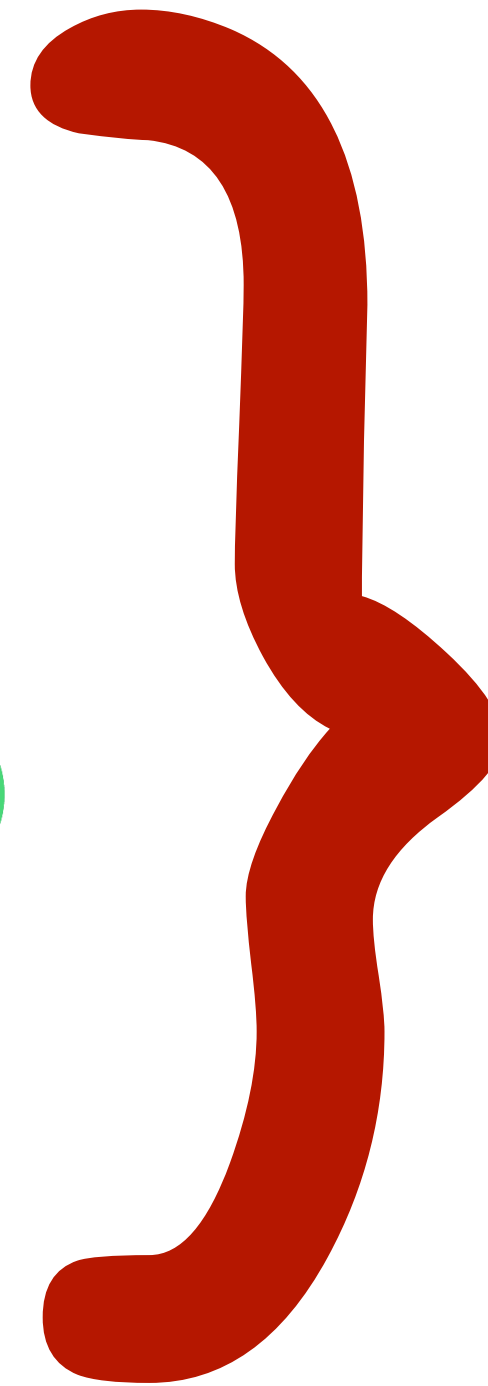
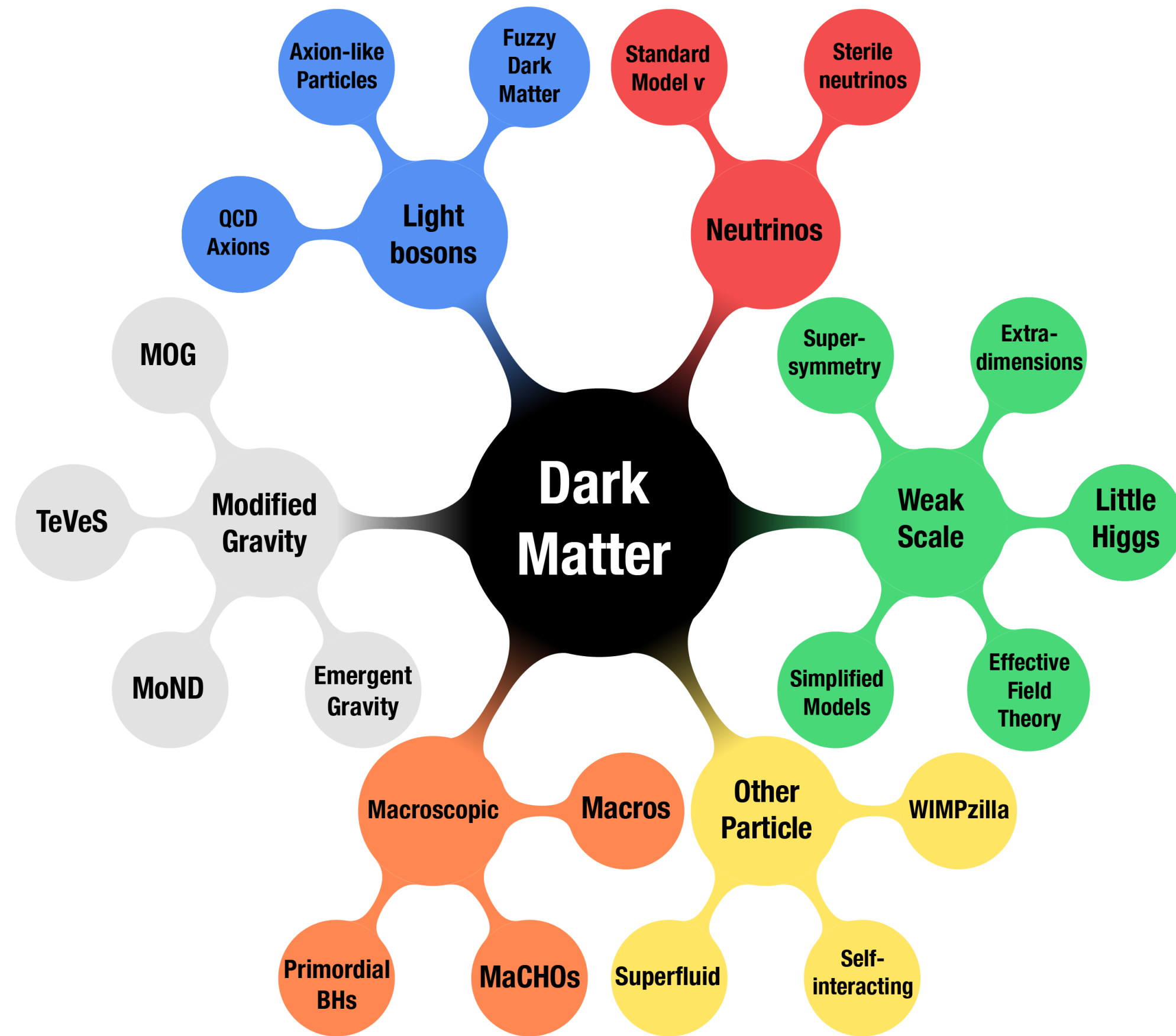


A simplified Freeze-in Model for LHC



DT: Order-of-magnitude difference in peak sensitivity between ATLAS/CMS

Conclusion



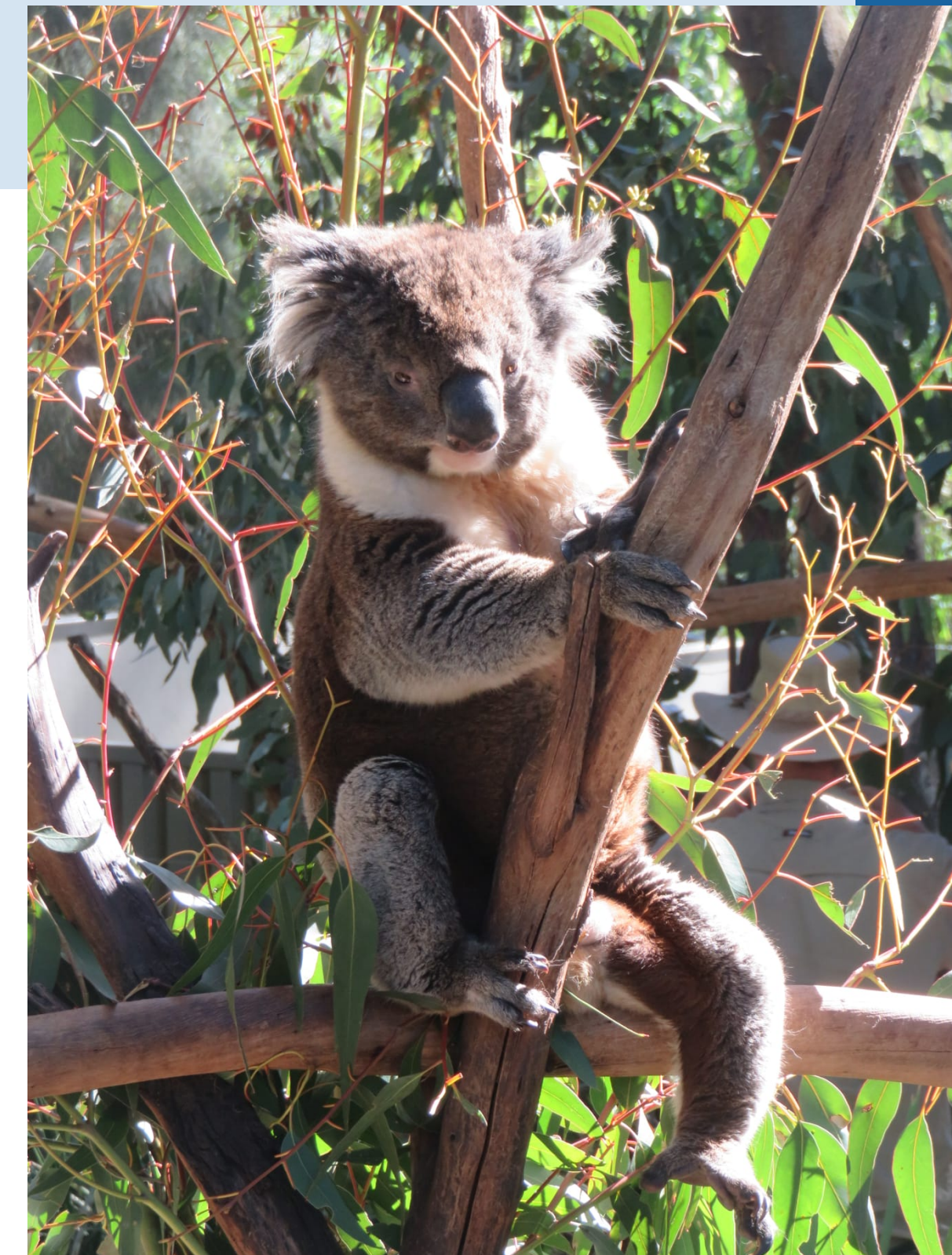
We are in uncharted territory,
But the ride is exciting

International Workshop

International Joint Workshop on the Standard Model and Beyond 2024
& 3rd Gordon Godfrey Workshop on Astroparticle Physics



9–13 Dec 2024
Australia/Sydney timezone



Direct Detection at 1-loop

Is the spin-independent 1-loop more sensitive than the tree level spin-dependent direct detection limit?

$$\mathcal{L}_{SI}^{\text{eff}} = \sum_{q=u,d,s} \mathcal{L}_q^{\text{eff}} + \mathcal{L}_g^{\text{eff}}$$

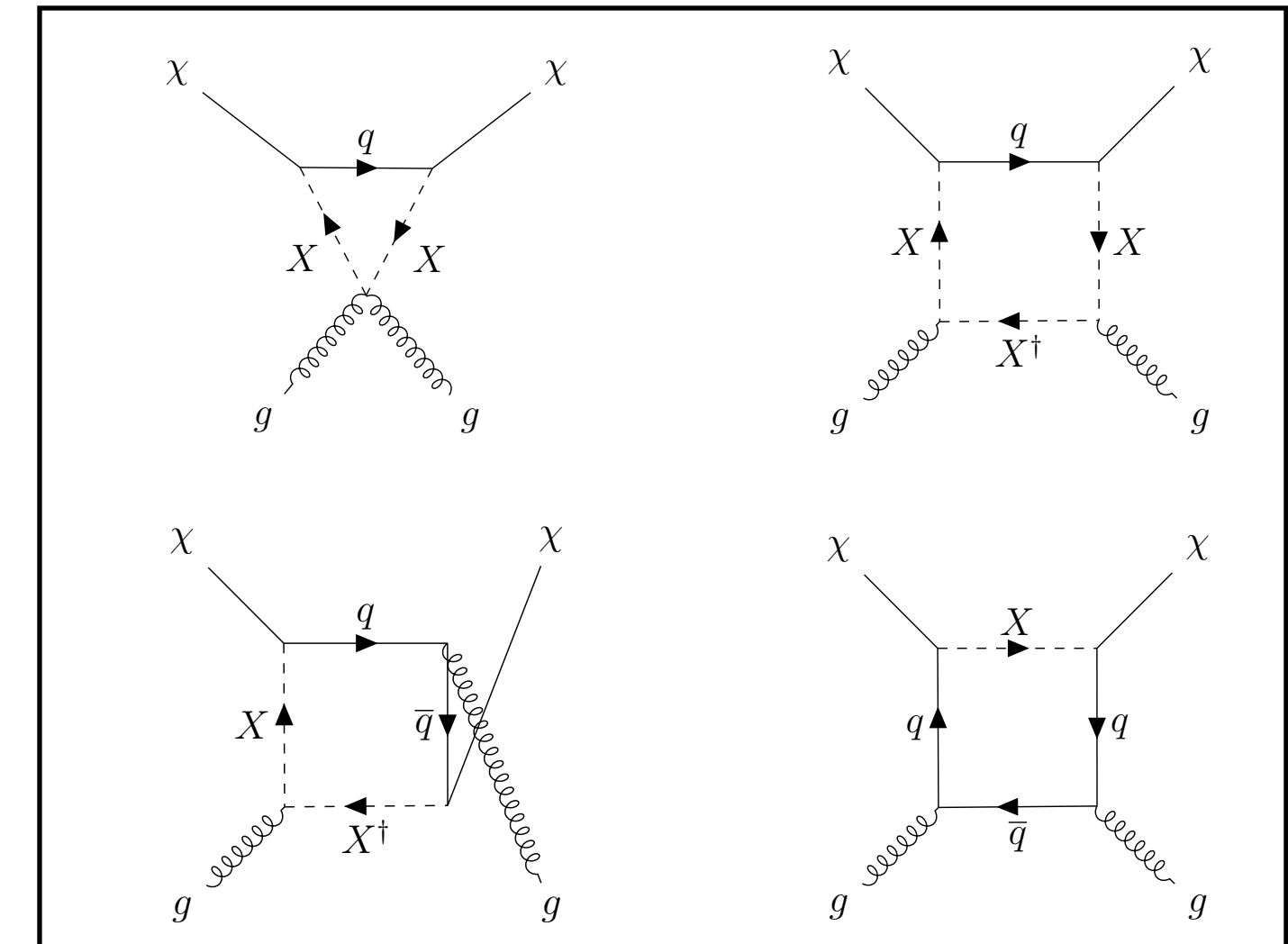
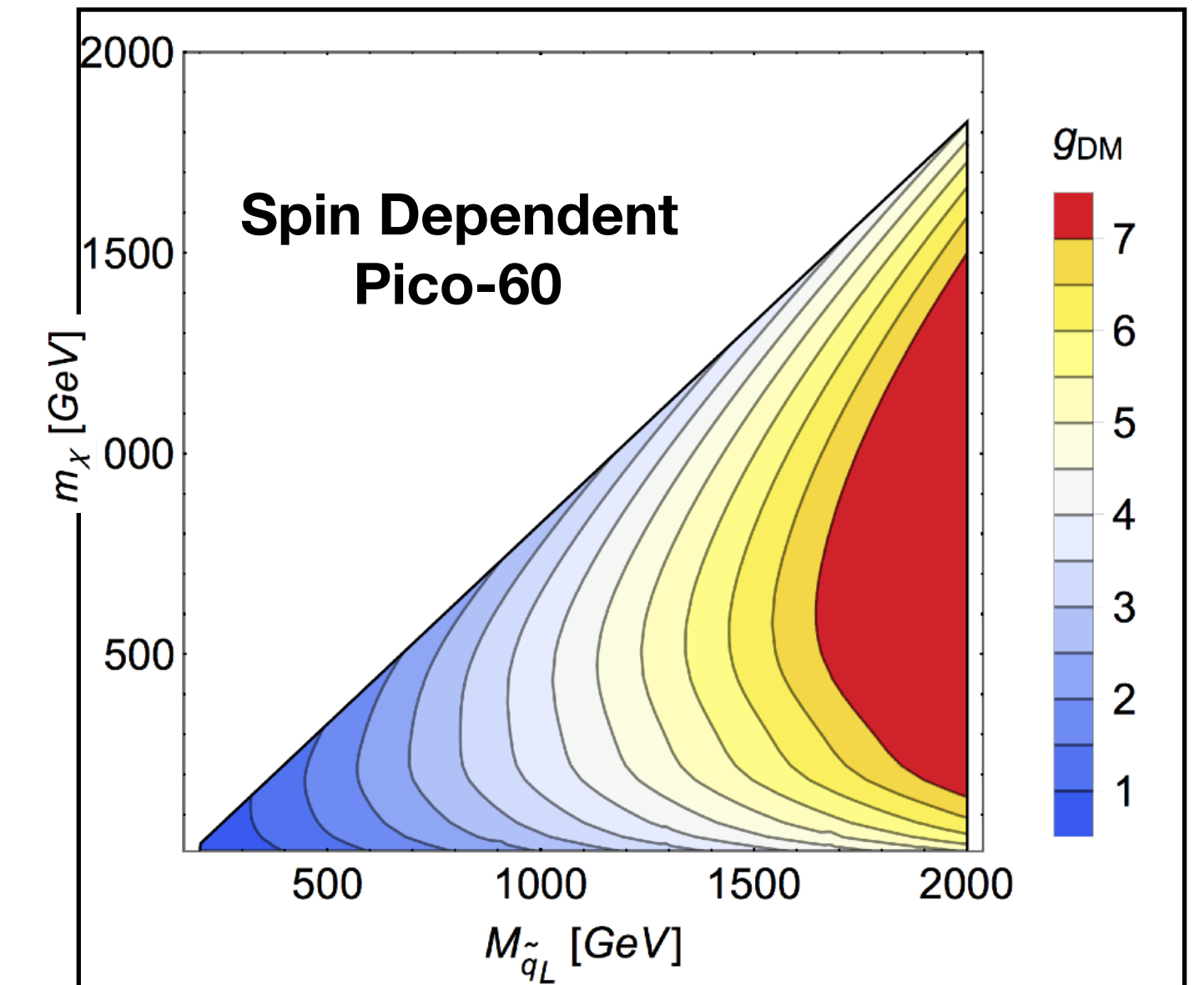
Describe the one loop effective interaction for direct detection

Determine Wilson Coefficients for effective operators

$$\mathcal{L}_q^{\text{eff}} = \underbrace{f_q m_q \bar{\chi} \chi \bar{q} q}_{\text{Spin 0}} + \frac{g_q^{(1)}}{m_\chi} \bar{\chi} i \partial^\mu \gamma^\nu \tilde{\chi} \mathcal{O}_{\mu\nu}^q + \frac{g_q^{(2)}}{m_\chi^2} \bar{\chi} (i \partial^\mu) (i \partial^\nu) \tilde{\chi} \mathcal{O}_{\mu\nu}^q,$$

$$\mathcal{L}_g^{\text{eff}} = \underbrace{f_G \bar{\chi} \chi G_{\mu\nu}^a G^{a\mu\nu}}_{\text{Spin 0}} + \frac{g_G^{(1)}}{m_\chi} \bar{\chi} i \partial^\mu \gamma^\nu \tilde{\chi} \mathcal{O}_{\mu\nu}^g + \frac{g_G^{(2)}}{m_\chi^2} \bar{\chi} (i \partial^\mu) (i \partial^\nu) \tilde{\chi} \mathcal{O}_{\mu\nu}^g.$$

Spin-2 Operators

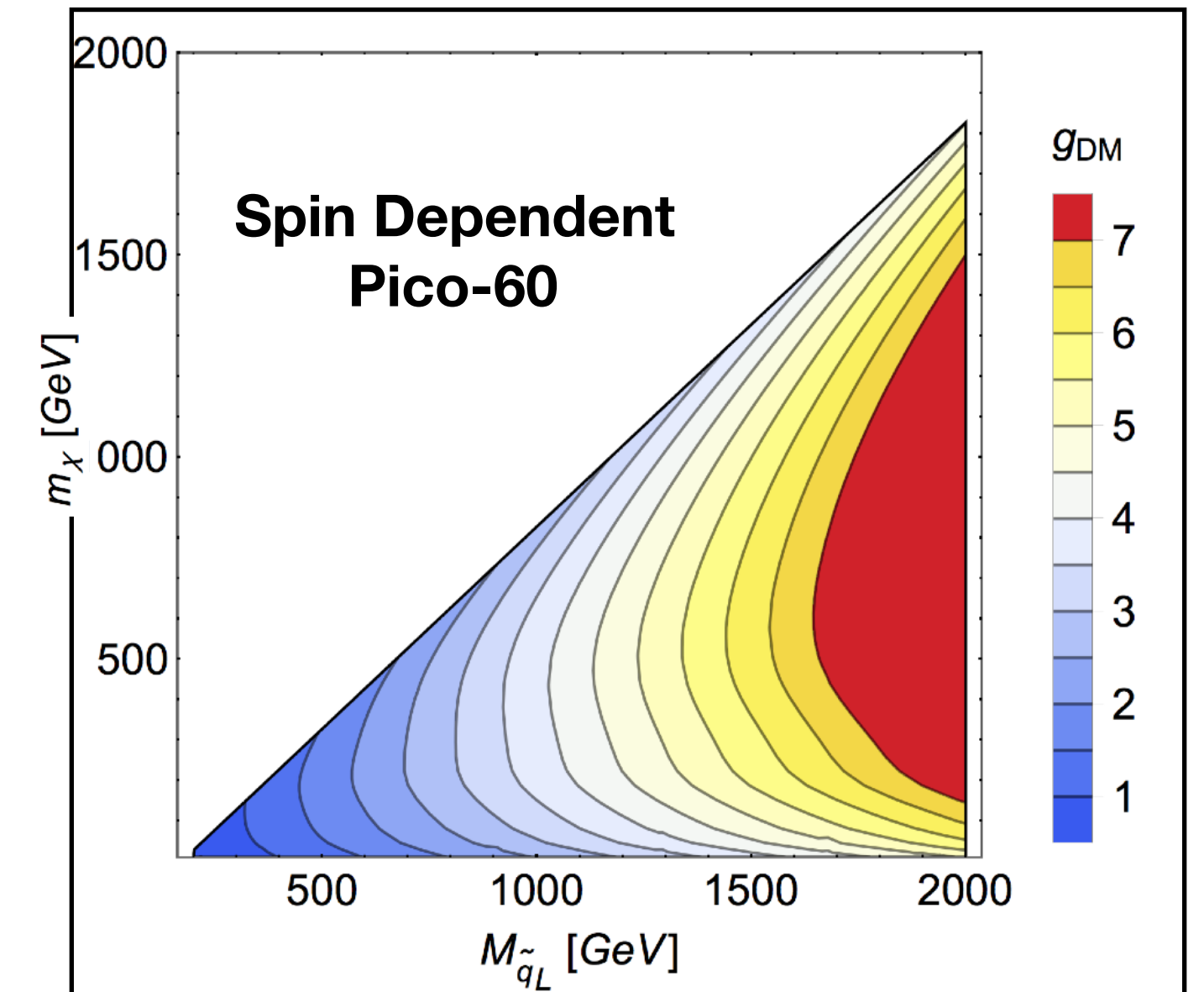


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Spin 0 Spin-2 Operators

