Hadronization in small and large systems

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Premise: which are the carriers of conserved charges?



• In the QGP strangeness carried by quarks with |B|=1/3, PRD 86, 034509 (2012)

• $\chi_4^B/\chi_2^2 = B^2$, with |B| = 1 (HG) or |B| = 1/3 (QGP), PRL 111, 062005 (2013)

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One would expect a sharp change in the nature of these carriers... However, IQCD data show that also this change is very smooth!



- At T = 0 hadrons are stable eigenstates of $H_{\rm QCD}$
- At T≠0 effective Lagrangians predict much richer structure of hadronic spectral functions (broadening, mass shift), both for light (NJL model) and heavy (non-linear chiral SU(3) model) hadrons¹

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Light sector: hadronization in effective chiral Lagrangians



From $N_f = 2 + 1$ NJL Lagrangian (P. Rehberg et al, PRC 53 (1995) 410)

- Different Mott temperatures for the different hadrons, below which the decay channel $H \rightarrow q_1 + \overline{q}_2$ gets closed (non-universal hadronization temperature?)
- Hadronization, modeled as q₁ + q
 ₂ → H₁ + H₂ process (exact four-momentum conservation ≠ coalescence), takes time to occur:

$$\begin{aligned} \tau_u^{-1}(T_H) &= \langle \sigma_{u\bar{u}} v \rangle \rho_{\bar{u}} + \langle \sigma_{u\bar{d}} v \rangle \rho_{\bar{d}} + \langle \sigma_{u\bar{s}} v \rangle \rho_{\bar{s}} \approx (2-3 \text{ fm/c})^{-1} \\ \tau_s^{-1}(T_H) &= \langle \sigma_{s\bar{u}} v \rangle \rho_{\bar{u}} + \langle \sigma_{s\bar{d}} v \rangle \rho_{\bar{d}} + \langle \sigma_{s\bar{s}} v \rangle \rho_{\bar{s}} \approx (3-4 \text{ fm/c})^{-1} \\ &= \langle \sigma_{s\bar{u}} v \rangle \rho_{\bar{u}} + \langle \sigma_{s\bar{d}} v \rangle \rho_{\bar{d}} + \langle \sigma_{s\bar{s}} v \rangle \rho_{\bar{s}} \approx (3-4 \text{ fm/c})^{-1} \\ &= \langle \sigma_{s\bar{u}} v \rangle \rho_{\bar{u}} + \langle \sigma_{s\bar{d}} v \rangle \rho_{\bar{d}} + \langle \sigma_{s\bar{s}} v \rangle \rho_{\bar{s}} \approx (3-4 \text{ fm/c})^{-1} \\ &= \langle \sigma_{s\bar{u}} v \rangle \rho_{\bar{u}} + \langle \sigma_{s\bar{d}} v \rangle \rho_{\bar{d}} + \langle \sigma_{s\bar{s}} v \rangle \rho_{\bar{s}} \approx (3-4 \text{ fm/c})^{-1} \\ &= \langle \sigma_{s\bar{u}} v \rangle \rho_{\bar{u}} + \langle \sigma_{s\bar{d}} v \rangle \rho_{\bar{d}} + \langle \sigma_{s\bar{s}} v \rangle \rho_{\bar{s}} \approx (3-4 \text{ fm/c})^{-1} \\ &= \langle \sigma_{s\bar{u}} v \rangle \rho_{\bar{u}} + \langle \sigma_{s\bar{d}} v \rangle \rho_{\bar{d}} + \langle \sigma_{s\bar{s}} v \rangle \rho_{\bar{s}} \approx (3-4 \text{ fm/c})^{-1} \\ &= \langle \sigma_{s\bar{u}} v \rangle \rho_{\bar{u}} + \langle \sigma_{s\bar{d}} v \rangle \rho_{\bar{d}} + \langle \sigma_{s\bar{s}} v \rangle \rho_{\bar{s}} \approx (3-4 \text{ fm/c})^{-1} \\ &= \langle \sigma_{s\bar{u}} v \rangle \rho_{\bar{u}} + \langle \sigma_{s\bar{d}} v \rangle \rho_{\bar{u}} + \langle \sigma_{s\bar{s}} v \rangle \rho_{\bar{s}} \approx (3-4 \text{ fm/c})^{-1} \\ &= \langle \sigma_{s\bar{u}} v \rangle \rho_{\bar{u}} + \langle \sigma_{s\bar{d}} v \rangle \rho_{\bar{u}} + \langle \sigma_{s\bar{s}} v \rangle \rho_{\bar{s}} \approx (3-4 \text{ fm/c})^{-1} \\ &= \langle \sigma_{s\bar{u}} v \rangle \rho_{\bar{u}} + \langle \sigma_{s\bar{d}} v \rangle \rho_{\bar{u}} + \langle \sigma_{s\bar{s}} v \rangle \rho_{\bar{s}} \approx (3-4 \text{ fm/c})^{-1} \\ &= \langle \sigma_{s\bar{u}} v \rangle \rho_{\bar{u}} + \langle \sigma_{s\bar{v}} v \rangle \rho_{\bar{u}} + \langle \sigma_{s\bar{v}} v \rangle \rho_{\bar{v}} \approx (3-4 \text{ fm/c})^{-1} \\ &= \langle \sigma_{s\bar{v}} v \rangle \rho_{\bar{v}} + \langle \sigma_{s\bar{v}} v \rangle \rho_{\bar{v}} \approx (3-4 \text{ fm/c})^{-1} \\ &= \langle \sigma_{s\bar{v}} v \rangle \rho_{\bar{v}} \approx (3-4 \text{ fm/c})^{-1} \\ &= \langle \sigma_{s\bar{v}} v \rangle \rho_{\bar{v}} \approx (3-4 \text{ fm/c})^{-1} \\ &= \langle \sigma_{s\bar{v}} v \rangle \rho_{\bar{v}} \approx (3-4 \text{ fm/c})^{-1} \\ &= \langle \sigma_{s\bar{v}} v \rangle \rho_{\bar{v}} \approx (3-4 \text{ fm/c})^{-1} \\ &= \langle \sigma_{s\bar{v}} v \rangle \rho_{\bar{v}} \approx (3-4 \text{ fm/c})^{-1} \\ &= \langle \sigma_{s\bar{v}} v \rangle \rho_{\bar{v}} \approx (3-4 \text{ fm/c})^{-1} \\ &= \langle \sigma_{s\bar{v}} v \rangle \rho_{\bar{v}} \approx (3-4 \text{ fm/c})^{-1} \\ &= \langle \sigma_{s\bar{v}} v \rangle \rho_{\bar{v}} \approx (3-4 \text{ fm/c})^{-1} \\ &= \langle \sigma_{s\bar{v}} v \rangle \rho_{\bar{v}} \approx (3-4 \text{ fm/c})^{-1} \\ &= \langle \sigma_{s\bar{v}} v \rangle \rho_{\bar{v}} \approx (3-4 \text{ fm/c})^{-1} \\ &= \langle \sigma_{s\bar{v}} v \rangle \rho_{\bar{v}} \approx (3-4 \text{ fm/c})^{-1} \\ &= \langle \sigma_{s\bar{v}} v \rangle \rho_{\bar{v}} \approx (3-4 \text{ fm/c})^{-1} \\ &= \langle \sigma_{s\bar{v}} v \rangle \rho_{\bar{v}} \approx (3-4 \text{ f$$

Hadronization does not occur suddenly



Also in string-fragmentation model (PYTHIA) primary hadron production takes time to occur, $\langle \tau \rangle \approx 1.3 \text{ fm/c}$, however only recently model builders started investigating its implications (S. Ferreres-Solé and T. Sjostrand, EPJC 78 (2018) 11, 983)

- Probably irrelevant in e^+e^- collisions
- Important to consider if a dense medium (big or small), with its own time scales (lifetime, interaction rate, expansion rate...), is formed.

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Notice that in most cases in HIC's hadronization is modeled as an instantaneous process (e.g. Cooper-Frye particlization or standard coalescence approaches)

Grouping colored partons into color-singlet structures: strings (PYTHIA), clusters (HERWIG), hadrons/resonances (coalescence/recombination).

Hadronization models: common features

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- in "elementary collisions" (what is elementary?): from the hard process, shower stage, underlying event and beam remnants;
- in heavy-ion collisions (only?): from the hot medium produced in the collision.
 NB Involved partons closer in space in this case and this has deep consequence!

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Why the title of this talk?



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$$d\sigma_h \neq \sum_{a,b,X} f_a(x_1) f_b(x_2) \otimes d\hat{\sigma}_{ab \to c\bar{c}X} \otimes D_{c \to h_c}(z)$$

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 Recent theory attempts to explain the data either based on Color Reconnection (CR) or on the formation of a small fireball: really different pictures? Breaking of factorization already observed in fixed target experiments at Fermilab and SPS (e.g. $\pi^- + p$ collisions) in the production of charmed hadrons sharing a valence (di-)quark with the beam or target remnant $(D^-/D^+, D_s^-/D_s^+, \Lambda_c^+/\overline{\Lambda_c^-})$

Non-universality of hadronization: not the first observation

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Second endpoint boosts the string along the direction of the beam-remnant (*beam-drag effect*), leading to an asymmetry in the rapidity distribution of D^-/D^+ mesons

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Major contribution to asymmetry from collapse of a very light cluster into a single hadron (E. Norrbin and T. Sjostrand, PLB 442 (1998) 407 and EPJC 17 (2000) 137)!

Local Color Neutralization (LCN): basic ideas

Both in AA and pp collisions a big/small deconfined fireball is formed. Around the QCD crossover temperature quarks undergoes recombination with the *closest* opposite color-charge (antiquark or diquark, favoring baryon production).

- Why? screening of color-interaction, minimization of energy stored in confining potential
- Implication: recombination of particles from the same fluid cell
 → Space-Momentum Correlation (SMC), recombined partons
 tend to share a common collective velocity



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Color-singlet structures are thus formed, eventually undergoing decay into the final hadrons: $2 \rightarrow 1 \rightarrow N$ process, usually a charmed hadron plus a very soft particle

- Exact four-momentum conservation;
- No direct bound-state formation, hence no need to worry about overlap between the final hadron and the parent parton wave-functions





- Enhanced HF baryon-to-meson ratios up to intermediate p_T nicely reproduced, thanks to formation of *small invariant-mass* charm+diquark clusters²
- Smooth approach to e^+e^- limit $(\Lambda_c^+/D^0 \approx 0.1)$ at high p_T : high- M_c clusters fragmented as Lund strings, as in the vacuum

²A.B. et al., EPJC 82 (2022) 7, 607

Addressing pp collisions...



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- Perfect correlation between initial entropy (dS/dy) and final particle multiplicity $(dN_{\rm ch}/d\eta)$, $S \approx 7.2N_{\rm ch}$. $P(N_{\rm ch})$ satisfying KNO scaling nicely reproduced;
- Samples of 10³ minimum-bias $(\langle dS/dy \rangle_{\rm mb} \approx 37.6, \text{ tuned to experimental } \langle dN_{\rm ch}/d\eta \rangle)$ and high-multiplicity $(\langle dS/dy \rangle_{0-1\%} \approx 187.5)$ events used to simulate HQ transport and hadronization.

Results in pp: particle ratios



First results for particle ratios³:

- POWHEG+PYTHIA standalone strongly underpredicts baryon-to-meson ratio
- Enhancement of charmed baryon-to-meson ratio qualitatively reproduced if propagation+hadronization in a small QGP droplet is included
- Multiplicity dependence of radial-flow peak position (just a reshuffling of the momentum, without affecting the yields): $\langle u_{\perp} \rangle_{pp}^{mb} \approx 0.33$, $\langle u_{\perp} \rangle_{pp}^{hm} \approx 0.53$, $\langle u_{\perp} \rangle_{PbPb}^{0-10\%} \approx 0.66$

³In collaboration with D. Pablos, A. De Pace, F. Prino et al., PRD 109 (2024) 1_{i} L011501 i_{i} i_{i}

Results in pp: elliptic flow



Response to initial elliptic eccentricity ($\langle \epsilon_2 \rangle^{\rm mb} \approx \langle \epsilon_2 \rangle^{\rm mh} \approx 0.31$) \longrightarrow non-vanishing ν_2 coefficient

- Differences between minimum-bias and high-multiplicity results only due to longer time spent in the fireball ($\langle \tau_H \rangle^{\rm mb} \approx 1.95 \text{ fm/c vs } \langle \tau_H \rangle^{\rm hm} \approx 2.92 \text{ fm/c}$)
- Mass ordering at low p_T ($M_{qq} > M_q$)
- Sizable fraction of v_2 acquired at hadronization

Relevance to quantify nuclear effects



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- Slope of the spectra in pp collisions better described including medium effects
- Inclusion of medium effects in minimum-bias pp benchmark fundamental to better describe charmed hadron R_{AA} , both the radial-flow peak and the species dependence



Charmed baryon enhancement in *pp* collisions can be accounted for *either* assuming the formation of a small fireball *or*, in PYTHIA, introducing the possibility of color-reconnection (CR).

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HF statistical hadronization



$$Z(ec{Q}) = \int_{0}^{2\pi} rac{d^{3} \phi}{(2\pi)^{5}} e^{i ec{Q} \cdot ec{\phi}} \exp[\sum_{j} \gamma_{s}^{N_{sj}} \gamma_{c}^{N_{cj}} \gamma_{b}^{N_{bj}} e^{-i ec{q}_{j} \cdot ec{\phi}} z_{j}], \quad ext{with} \quad z_{j} = (2J_{j} + 1) rac{V T_{H}}{2\pi^{2}} m_{j}^{2} K_{2}(rac{m_{j}}{T_{H}}).$$

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- Deviation from chemical equilibrium (quark fugacities)
- Exact charge conservation within correlation volume V
- Enlarged set of hadronic resonsance wrt PDG

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- A cross-fertilization between different communities will be welcome (lattice-QCD, QCD event generators, nuclear physics...) and necessary to achieve a deeper understanding of hadronization