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LFU measurement and flavour anomalies at LHCb

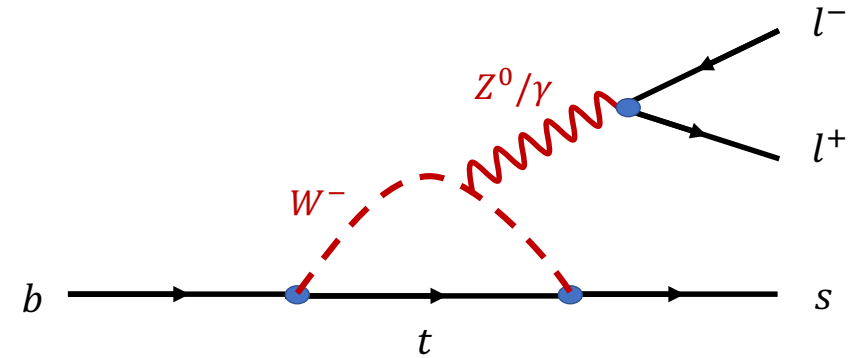
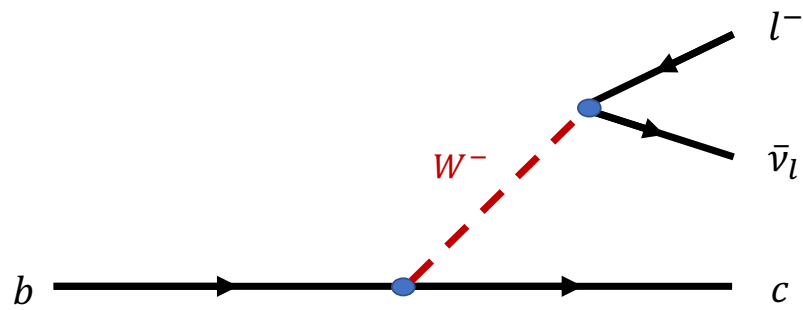
Guillaume Pietrzyk, on behalf of the LHCb experiment

12th Edition of the Large Hadron Collider Physics Conference

June 4th 2024

Flavour anomalies

Tensions with the Standard Model (SM) have been seen in recent years in decays involving $b \rightarrow cl\bar{\nu}_l$ and $b \rightarrow sll$ transitions



- Tree-level semileptonic decay:

- 👍 $\mathcal{B} \sim 10\% \rightarrow$ high signal yields

- 👍 Probe 3rd generation of leptons with potential enhanced NP coupling

- 👎 Non-reconstructed neutrinos \rightarrow challenging analyses with substantial background

- Rare penguin decay:

- 👍 Fully reconstructible final state

- 👍 Probe higher-order diagrams where New Physics (NP) particles can appear

- 👎 $\mathcal{B} \sim 10^{-6} \rightarrow$ low signal yields

The LHCb detector (Run 1 + 2)

VERtex LOcator (VELO):
▪ $\sigma(\text{IP}) \approx 20\mu\text{m}$

RICH System
for particle ID

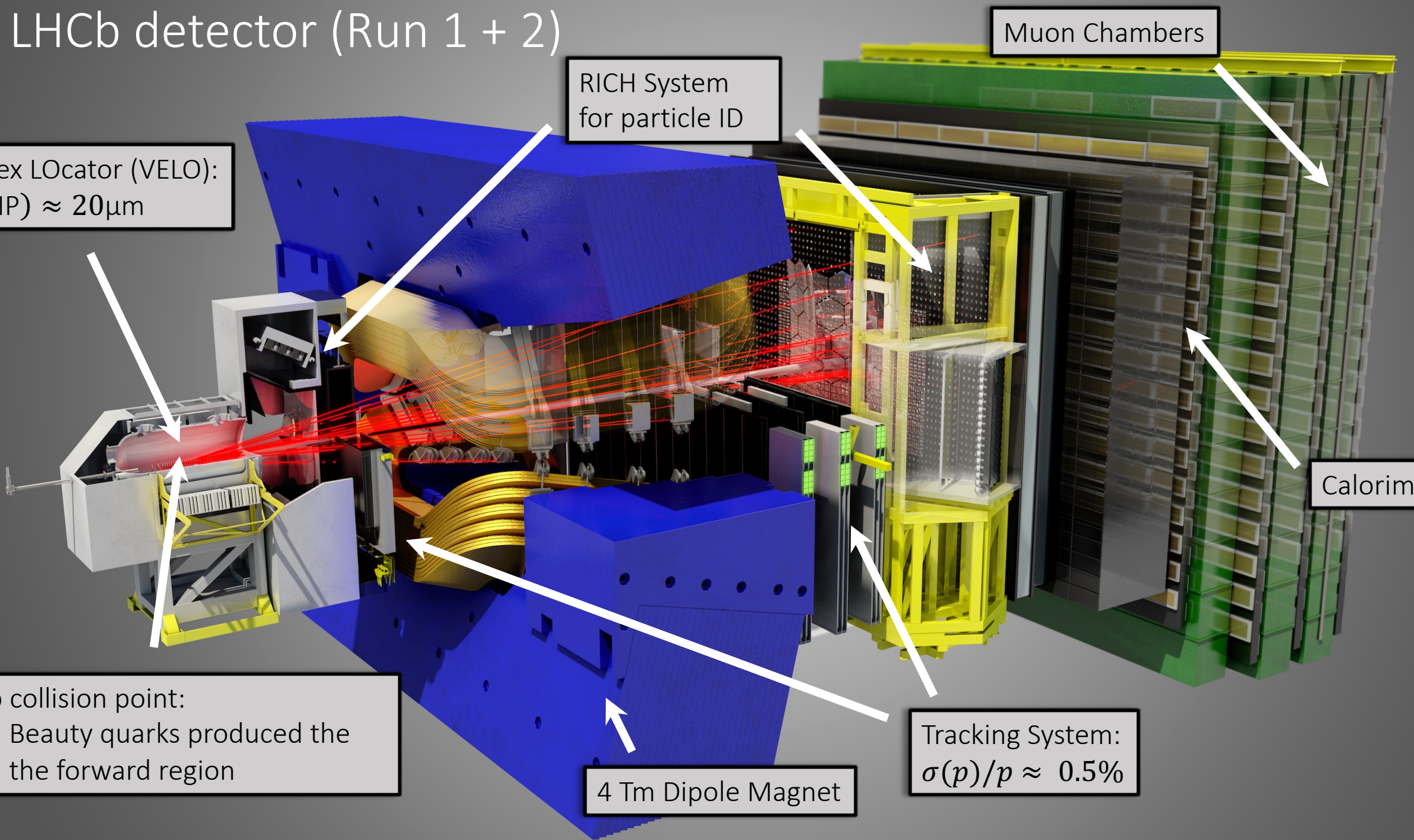
Muon Chambers

Calorimeters

pp collision point:
▪ Beauty quarks produced the
the forward region

4 Tm Dipole Magnet

Tracking System:
 $\sigma(p)/p \approx 0.5\%$



Outline of the talk

- Measurement of the branching fraction ratios $R(D^+)$ and $R(D^{*+})$ using muonic τ decays [LHCb-PAPER-2024-007, in preparation]
- Comprehensive analysis of local and nonlocal amplitudes in the $B^0 \rightarrow K^{*0} \mu^+ \mu^-$ decay [[LHCb-PAPER-2024-011](#)]

Measurement of the branching fraction ratios

$R(D^+)$ and $R(D^{*+})$ using muonic τ decays

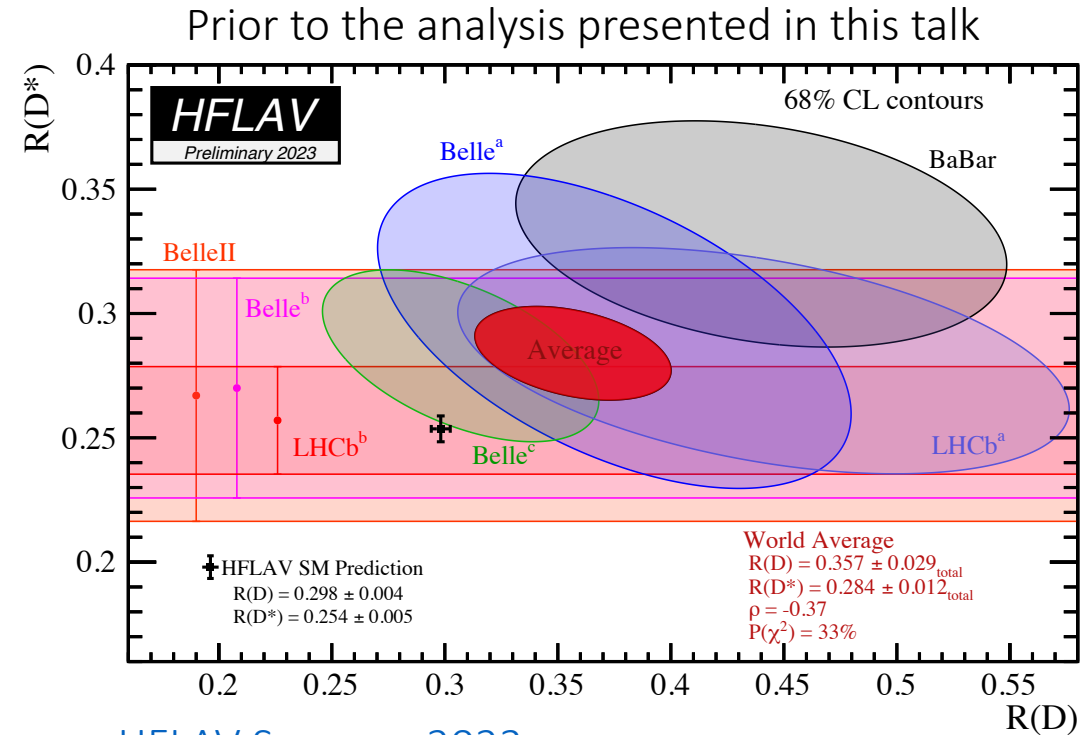
[LHCb-PAPER-2024-007, in preparation]

Lepton Flavour Universality (LFU) tests in $b \rightarrow cl\nu$ transitions

- LFU in the Standard Model (SM): coupling to e , μ and τ is universal. Differences are only driven by lepton masses
- New Physics can be manifested through experimental departures from LFU
- Experimental LFU test through $R(H_c)$ ratio:

$$R(H_c) = \frac{\mathcal{B}(H_b \rightarrow H_c \tau \nu_\tau)}{\mathcal{B}(H_b \rightarrow H_c \mu \nu_\mu)} \quad \begin{array}{l} H_b = B^0, B_{(c)}^+, B_s^0, \Lambda_b^0 \\ H_c = D^*, D^0, D^+, D_s, J/\psi \end{array}$$

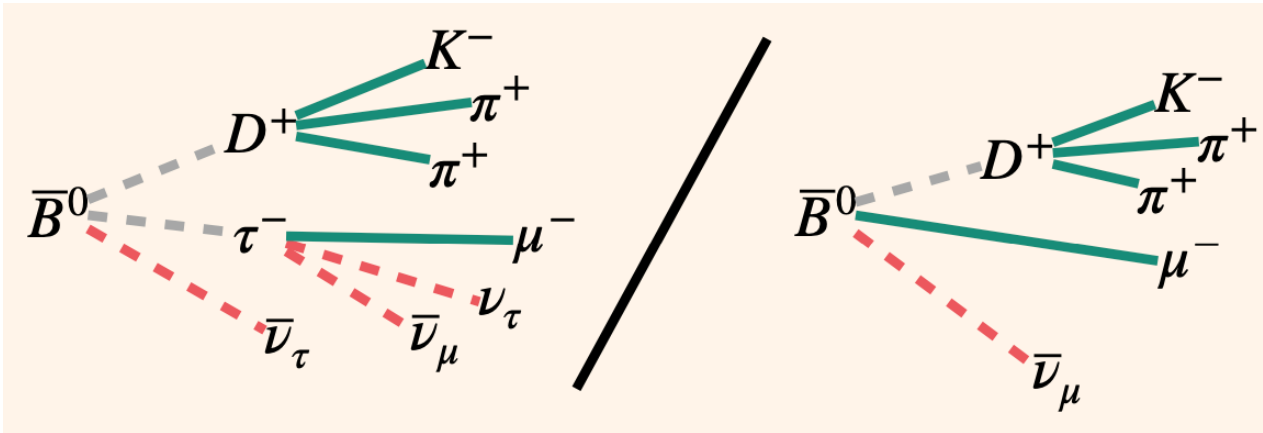
- Ratio improves theoretical and experimental precision
- Most precise measurements seen in $R(D) - R(D^*)$:
 - [HFLAV Summer 2023](#): 3.3σ tension from SM
 - Recent LHCb measurements with **leptonic** [[PRL 131 \(2023\) 111802](#)] and **hadronic** [[PRD 108 \(2023\) 012018](#)] τ decays
 - D^* longitudinal polarization in $B^0 \rightarrow D^{*-} \tau^+ \nu_\tau$ decays [[LHCb-PAPER-2023-020](#)]



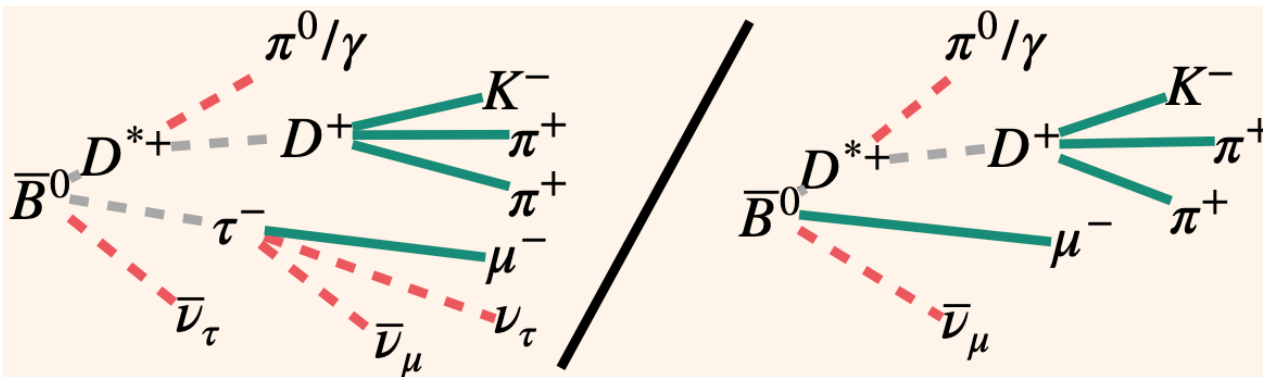
[HFLAV Summer 2023](#)

Branching fraction ratios $R(D^+)$ and $R(D^{*+})$: decay topology

$$R(D^+) =$$



$$R(D^{*+}) =$$



- Use $D^{*+} \rightarrow D^+ \pi^0$
- $K^- \pi^+ \pi^+ \mu^-$ final state common to all four modes.

$$R(D^{(*)+}) = \frac{\epsilon_{\mu}^{D^{(*)+}}}{\epsilon_{\tau}^{D^{(*)+}}} \frac{N_{\tau}^{D^{(*)+}}}{N_{\mu}^{D^{(*)+}}} \frac{1}{\mathcal{B}(\tau^- \rightarrow \mu^- \nu_{\tau})}$$

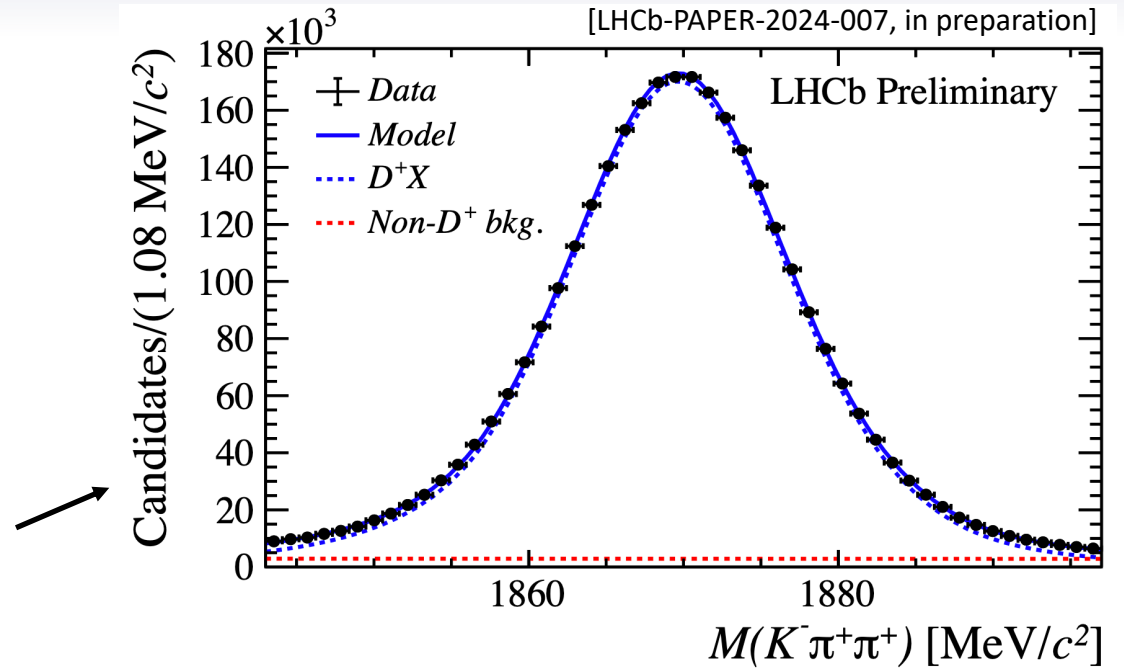
Efficiency ratio determined from MC

Yield ratio from data through a fit to m_{miss}^2 , E_{μ} and $q^2 = (p_B - p_D)^2$

- Main challenges:
 - Non-reconstructed ν and π^0/γ
 - Big data samples (> 3M candidates) \rightarrow Sensitive to small mis-modelings

Sample selection

- Dataset: 2015 + 2016 (2.0fb^{-1})
- Requirements on $K^-\pi^+\pi^+\mu^-$ candidates:
 - Kinematic
 - Topologic
 - Particle identification
- Fit $m(K^-\pi^+\pi^+)$ and apply [sPlot](#) technique to remove fake D^+ bkg.
- BDT-based isolation tool against bkg with additional charged and neutral particles:
 - Create four samples enriched with different bkg contributions
 - Final fit performed simultaneously in the four samples



Signal sample

$$D^+\mu^-$$

1π sample

$$D^+\mu^-\pi^\pm$$

Ex: $B \rightarrow D_0^*(2300)(\rightarrow D\pi^\pm)\mu\nu_\mu$

2π sample

$$D^+\mu^-\pi^+\pi^-$$

Ex: $B \rightarrow D^*(2640)^\pm(\rightarrow D^*(2010)^+\pi^+\pi^-)\mu\nu_\mu$

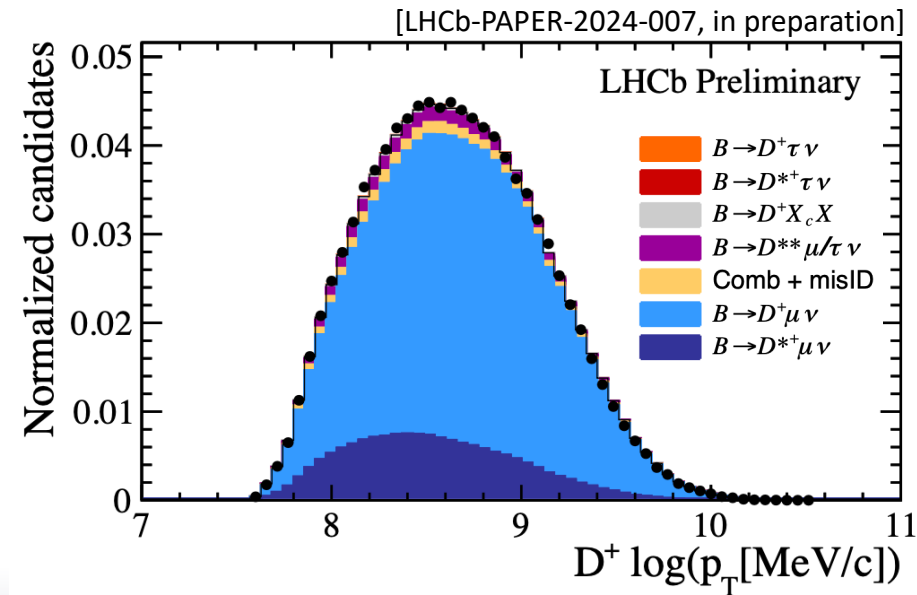
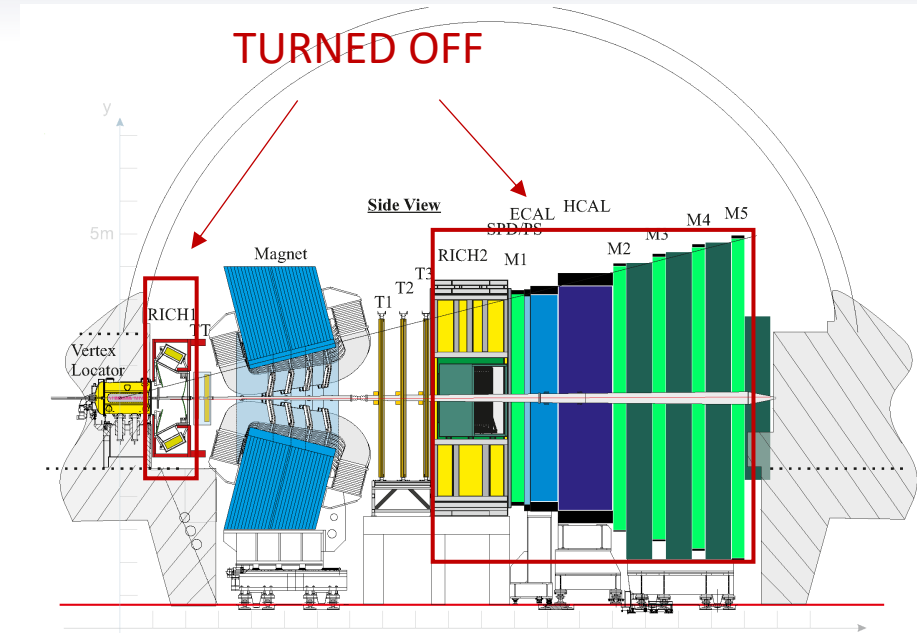
$1K$ sample

$$D^+\mu^-K^\pm$$

$B \rightarrow D^+H_c(\rightarrow \mu\nu_\mu X)X'$

Simulation

- Role: Obtain efficiencies and fit templates
- Huge statistics needed: not feasible with full LHCb simulation.
- Solution: Use *Tracker-Only* simulation
 - Missing detector effects emulated offline
 - x8 faster than full LHCb simulation
- Simulation corrections to match data distributions:
 - Reweighting of kinematics and $D^+ \rightarrow K^- \pi^+ \pi^+$ Dalitz resonances
 - QED effects through soft-photon corrections
[\[PRL 120 \(2018\) 261804\]](#)
- Excellent Data/simulation agreement reached!



Templates building and form factors

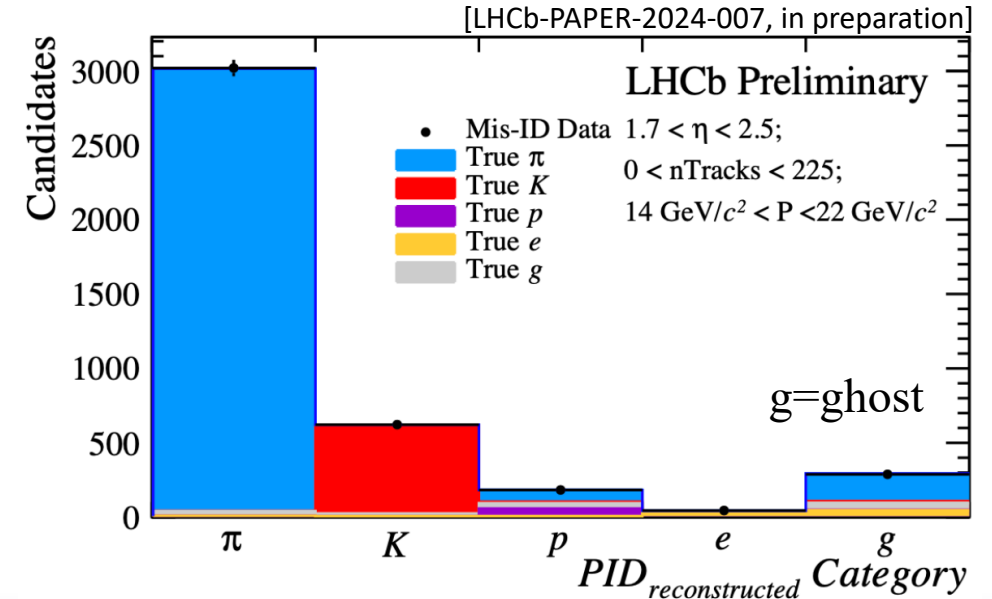
- Simulation templates:

- Signal ($B \rightarrow D^{(*)} l \nu_l$). Form factors from BGL [[PRD 94 \(2016\) 094008](#), [Eur. Phys. J. C \(2022\) 82:1141](#)]
- Bkg from $B \rightarrow D^{**} X$ decays. Form factors from BLR [[PRD 95 \(2017\) 014022](#)]
- Double-charm bkg
- $\Lambda_b^0 \rightarrow n D^+ \mu^- \bar{\nu}_\mu$ bkg

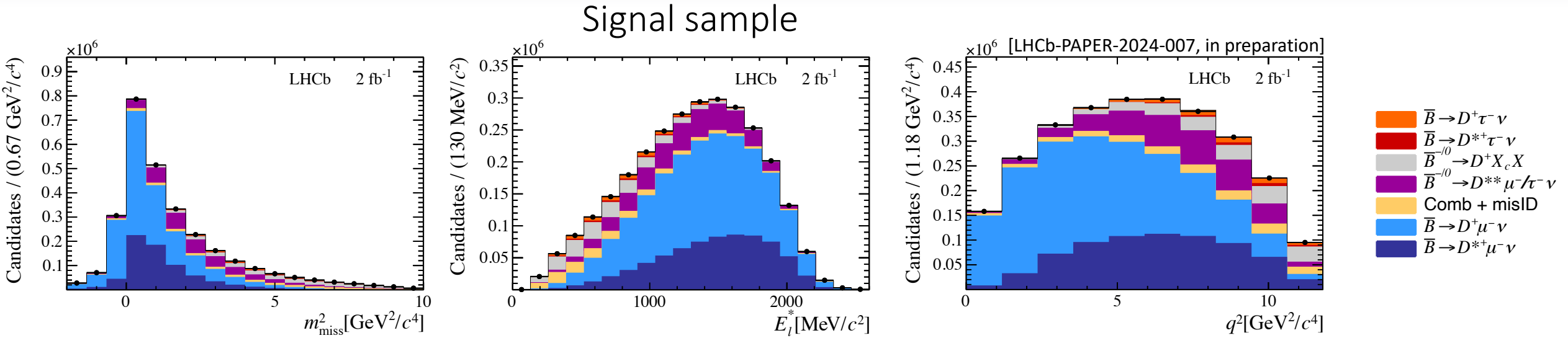
First analysis to use and implement HAMMER through RooHammerTool [[Eur. Phys. J. C \(2020\) 80:883](#), [JINST 17 \(2022\) T04006](#)]
 → Fast and exact form factors variations in the fit model!

- Data templates:

- Combinatorial bkg: Obtained from same-sign $D^+ \mu^+$ data
- Muon mis-identification: Obtained from non-muonic control control samples



Results



- Analysis results:

$$R(D^+) = 0.249 \pm 0.043_{\text{stat}} \pm 0.047_{\text{sys}}$$

$$R(D^{*+}) = 0.402 \pm 0.081_{\text{stat}} \pm 0.085_{\text{sys}} \quad \rho = -0.39$$

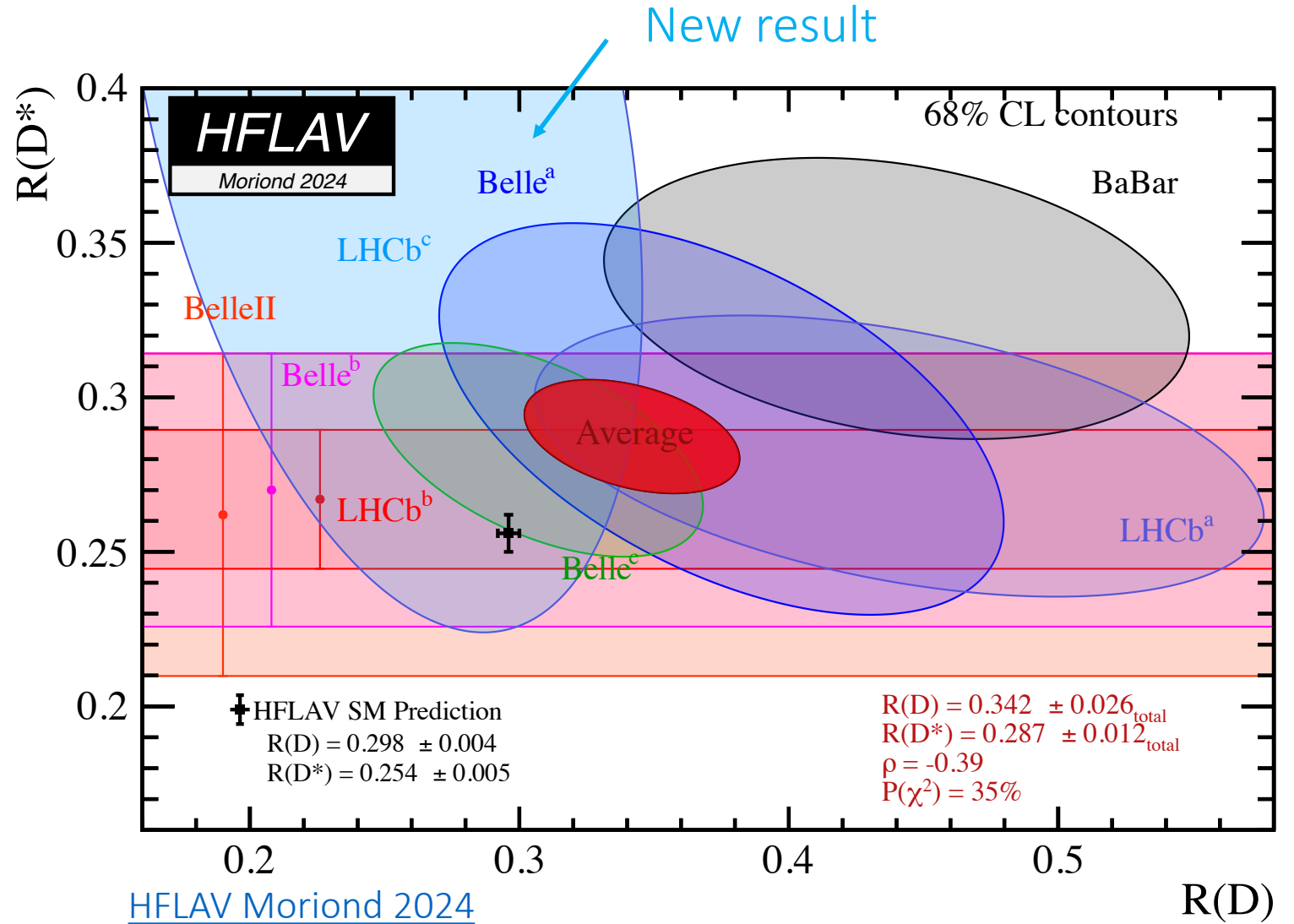
- Main systematics from form-factor parametrisations and bkg modelings.

Systematic uncertainties

Source	$\mathcal{R}(D^+)$	$\mathcal{R}(D^{*+})$
Form factors	0.023	0.035
$\bar{B} \rightarrow D^{**}[D^+ X]\mu/\tau\nu$ fractions	0.024	0.025
$\bar{B}^{+0} \rightarrow D^+ X_c X$ fraction	0.020	0.034
Misidentification	0.019	0.012
Simulation size	0.009	0.030
Combinatorial background	0.005	0.020
Data/simulation agreement	0.016	0.011
Muon identification	0.008	0.027
Multiple candidates	0.007	0.017
Total systematic uncertainty	0.047	0.086

New $R(D) - R(D^*)$ HFLAV average

- New result compatible with World Average (WA) and SM
- New tension with SM: 3.17σ



Comprehensive analysis of local and nonlocal
amplitudes in the $B^0 \rightarrow K^{*0} \mu^+ \mu^-$ decay

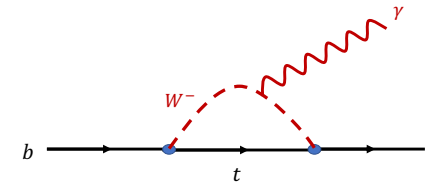
[\[LHCb-PAPER-2024-011, arXiv:2405.17347\]](#)

$B^0 \rightarrow K^{*0} \mu^+ \mu^-$: some intriguing effects

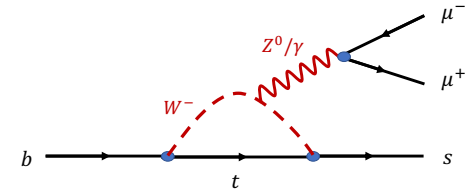
- Described by $b \rightarrow s \mu \mu$ penguin transitions:

$$H_{\text{eff}} = -\frac{4G_F}{\sqrt{2}} V_{tb} V_{ts}^* \sum_i \left[\underbrace{C_i O_i}_{\text{Left chirality}} + \underbrace{C'_i O'_i}_{\text{Right chirality, suppressed by SM}} \right]$$

C_7 = Penguin photon



$C_{9/10}$ = Electroweak penguin



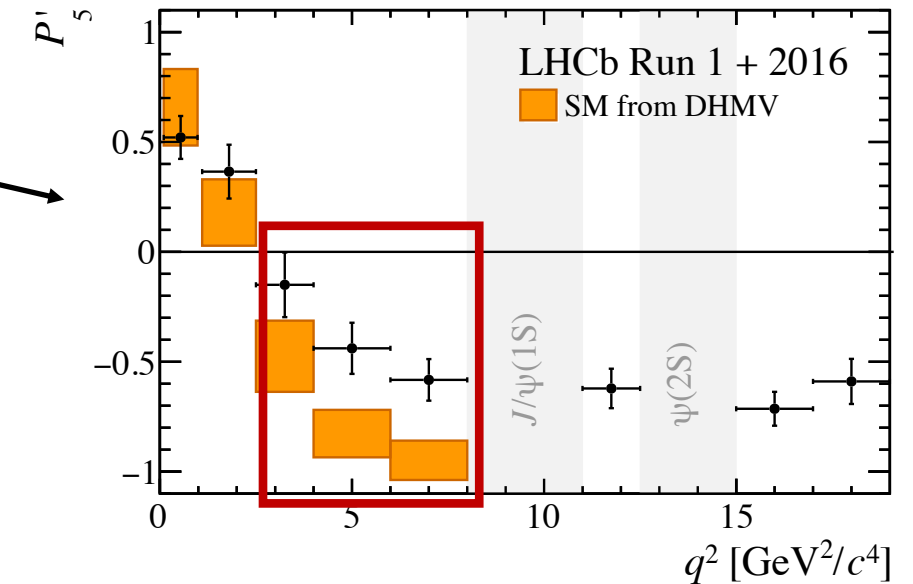
$C_i^{(\prime)}$ (Wilson coeff.): short-distance, sensitive to NP through $C_i = C_i^{SM} + \Delta C_i^{NP}$
 O'_i (Operators): long-distance, dependent to QCD form factors

- Tensions with SM are present in angular observables and differential decay rates of $B^0 \rightarrow K^{*0} \mu^+ \mu^-$

- Points to a NP vector contribution through $\Delta C_9^{NP} \neq 0$ [[Eur. Phys. J. C \(2023\) 83:648](#)]

- Important question: Is this a genuine NP effect and a mis-modelled QCD contribution?

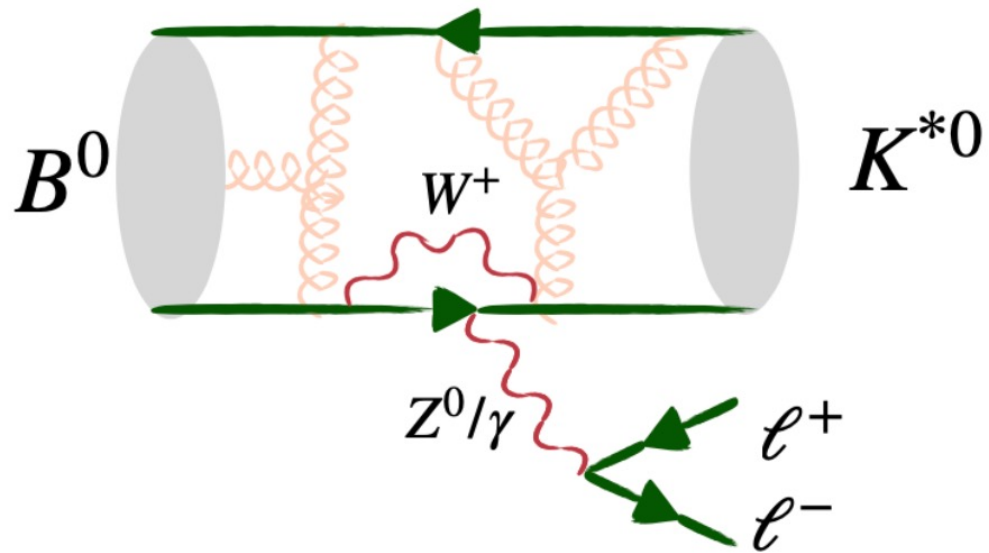
$$q^2 = m_{\mu\mu}^2$$



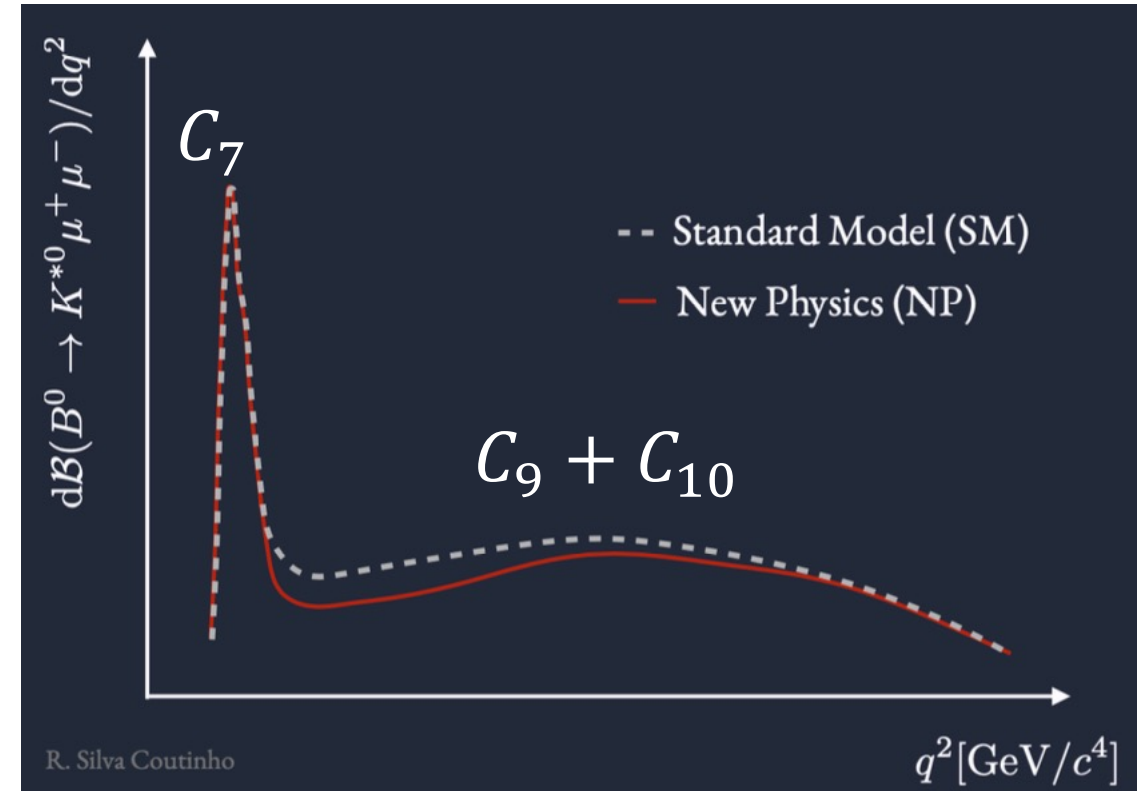
[PRL 125 \(2020\) 011802](#)

$B^0 \rightarrow K^{*0} \mu^+ \mu^-$: a complex system

Non-resonant $b \rightarrow s \mu \mu$
penguin transitions

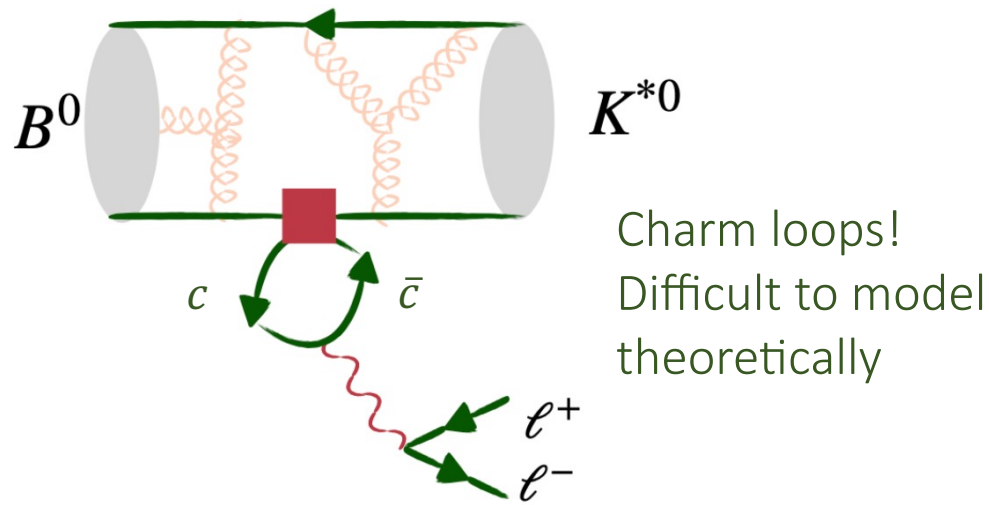


Local amplitudes



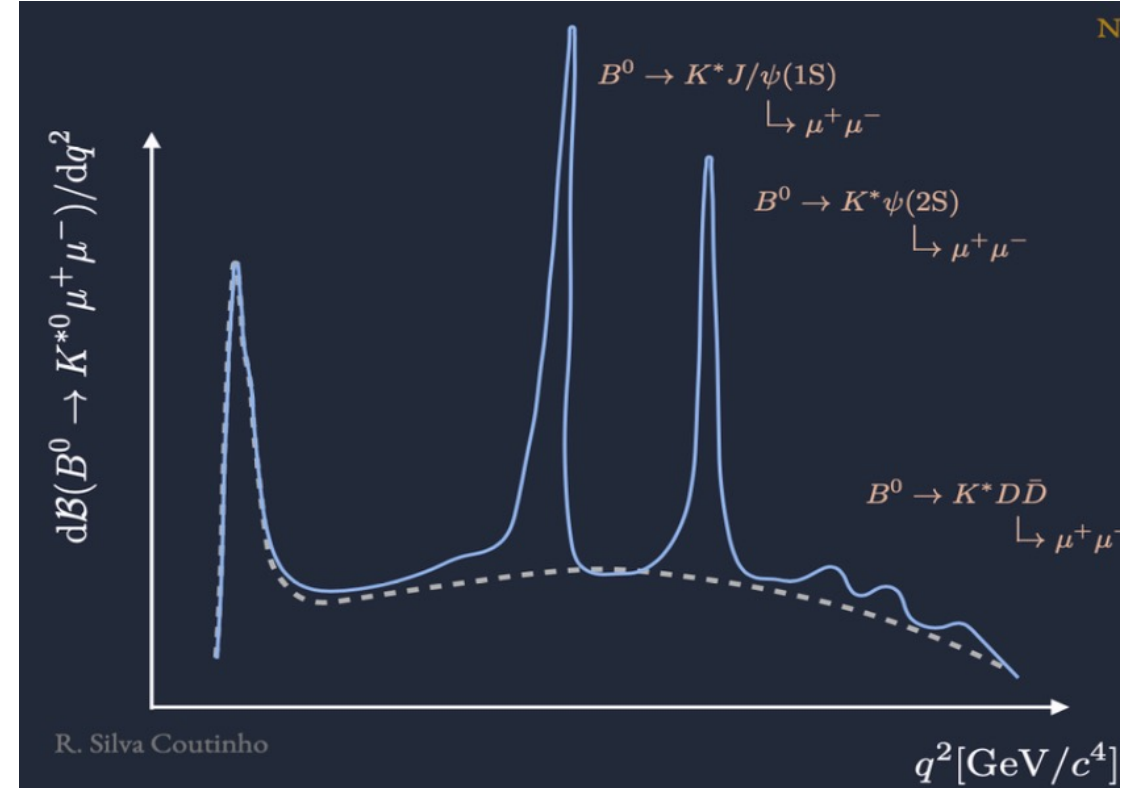
$B^0 \rightarrow K^{*0} \mu^+ \mu^-$: a complex system

Contributions from $c\bar{c}$ resonances!



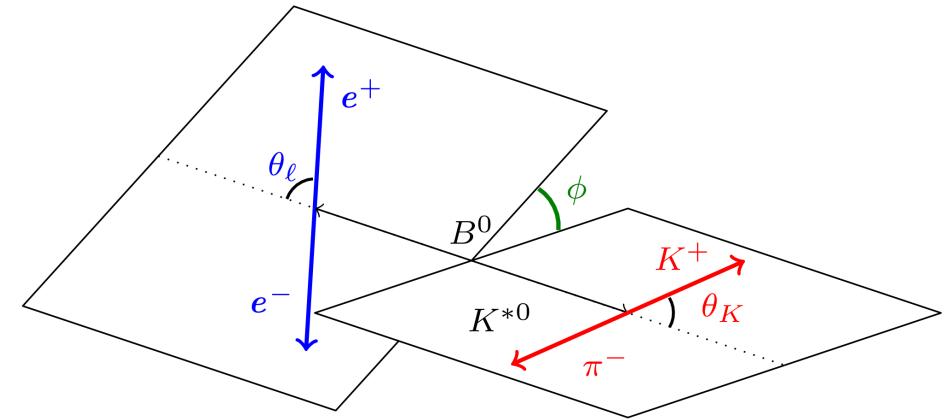
Dangerous ⚠ They can enter the analysis region and mimic $\Delta C_i^{NP} \neq 0$
→ Need a complete simultaneous experimental modeling of local and nonlocal amplitudes!

Nonlocal amplitudes



$B^0 \rightarrow K^{*0} \mu^+ \mu^-$: analysis strategy

- Unbinned measurement of **angular observables** through a parametrisation of q^2 and the 3 decay angles θ_l , θ_K and ϕ
- Dataset: Run 1 (2011-2012) + Run 2 (2016-2018): 8.4fb^{-1}
→ First analysis to use the full dataset!



Data

- Background modeling
- K^{*0} S-wave parameters

Simulation

- Selection + reconstruction + detection + resolution effects

Theory

- Local form factors [[JHEP 09, 133 \(2022\)](#)], gaussian constrained in the fit

FINAL FIT of 150 parameters. Among which:

- $\mathcal{R}(C_9^{(f)}) + \mathcal{R}(C_{10}^{(f)})$
- Form factors parameters

Parametrisation of local and nonlocal contributions



$$C_9^{eff}(q^2) = C_9^\mu + Y_{c\bar{c}+light}^{1P}(q^2) + Y_{c\bar{c}}^{2P}(q^2) + Y_{\tau\bar{\tau}}(q^2) + Y_{c\bar{c}}^0(q^2)$$

Penguin local term

1-particle contributions

2-particle contributions

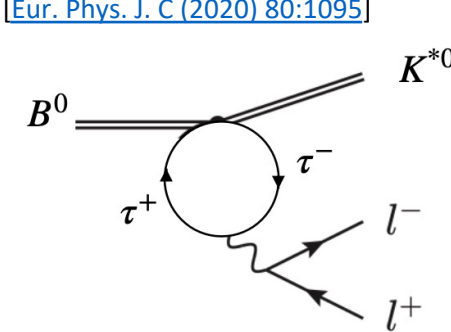
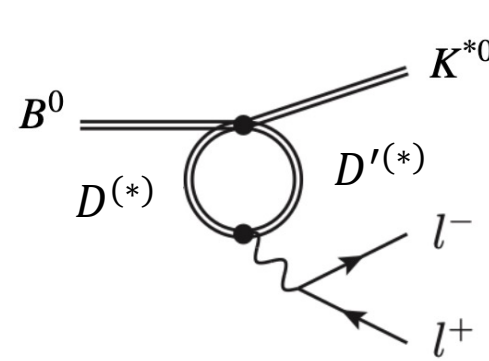
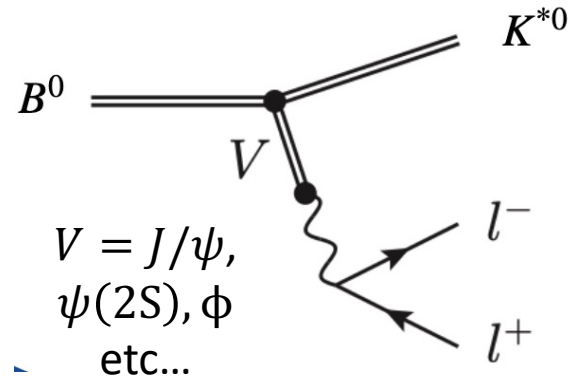
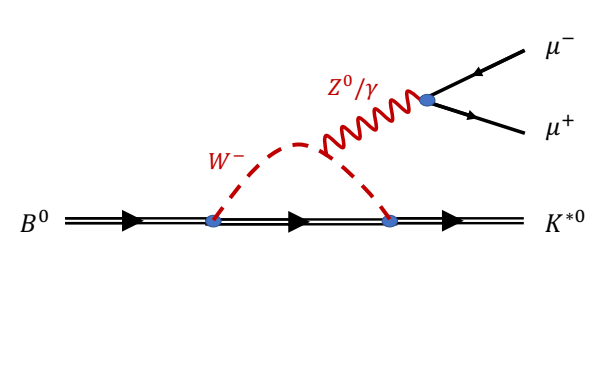
τ -loop contributions

Subtraction term determined theoretically at

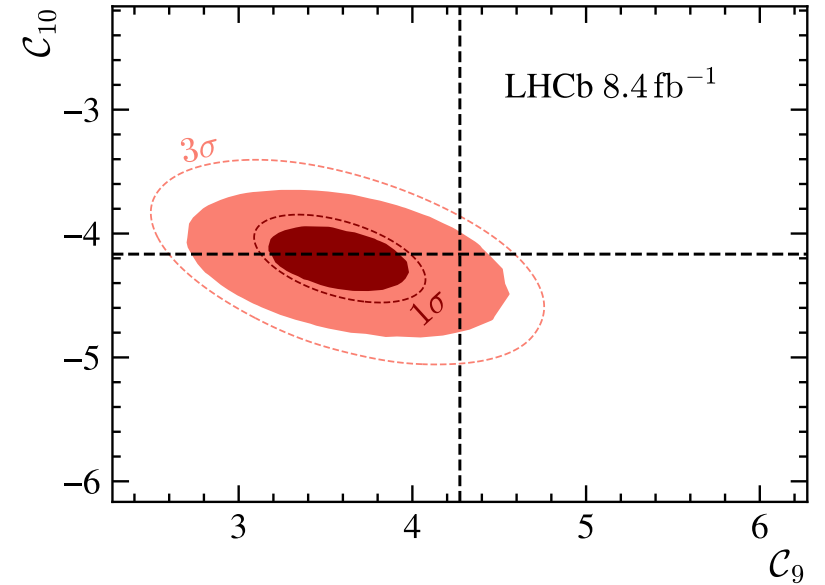
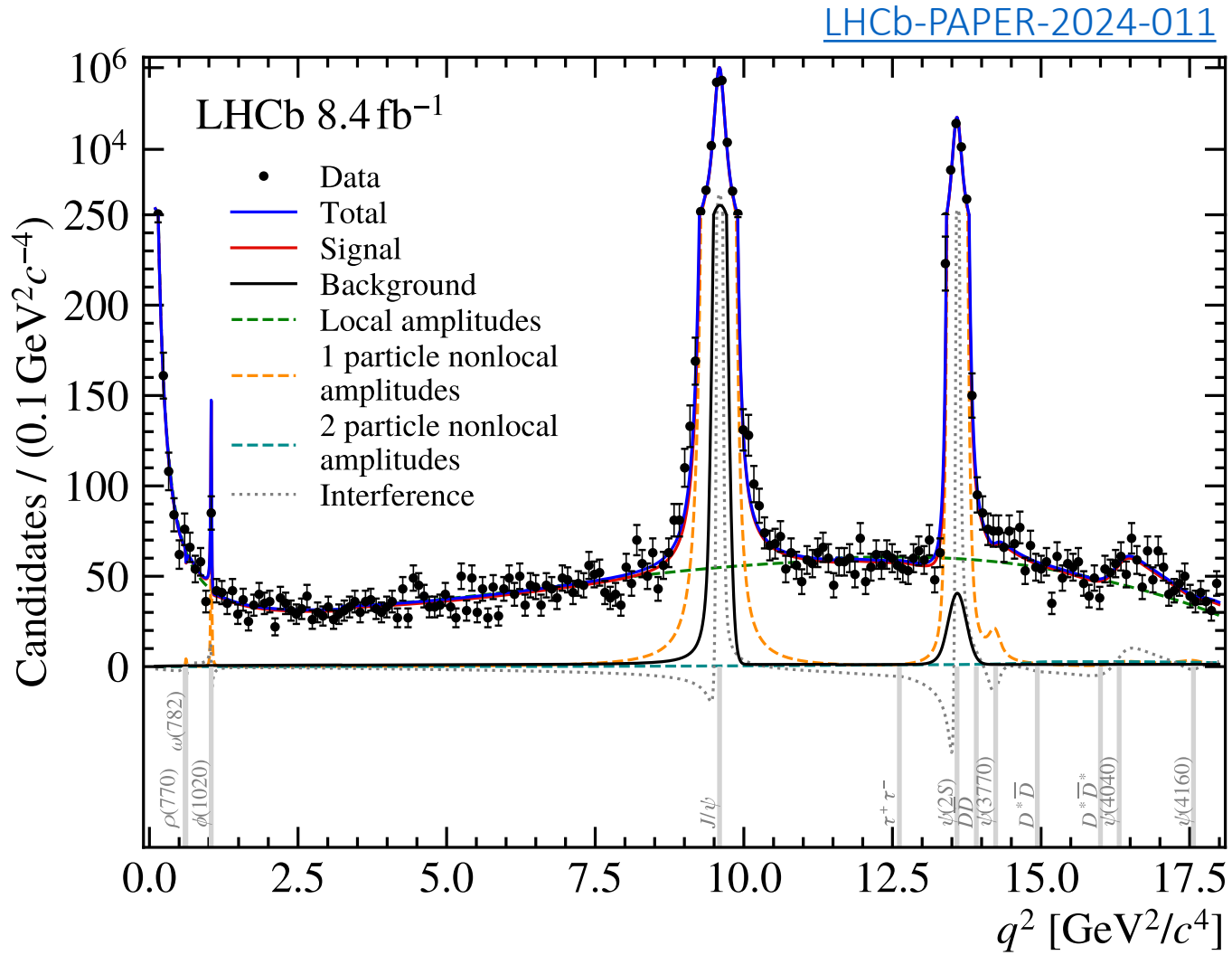
$$q^2 < 0$$

[JHEP 04 (2020) 012]

[Eur. Phys. J. C (2020) 80:1095]



Results



- Impressive modeling of the full q^2 spectrum!
- Results in agreement with previous LHCb analyses
- Biggest deviation is seen with:

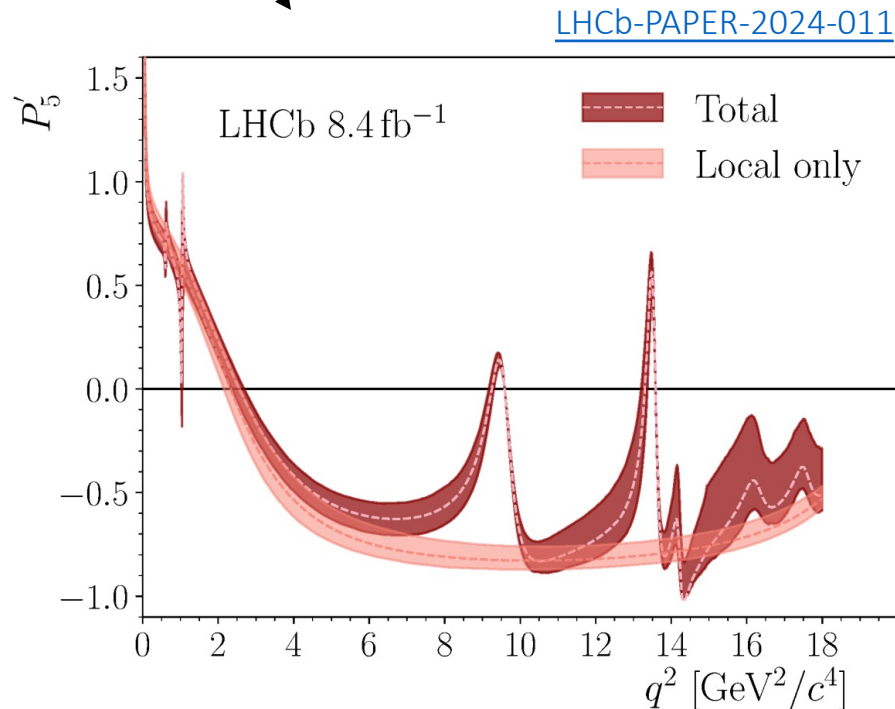
$$\Delta C_9^{NP} = -0.71 \pm 0.33$$

(2.1 σ from zero!)

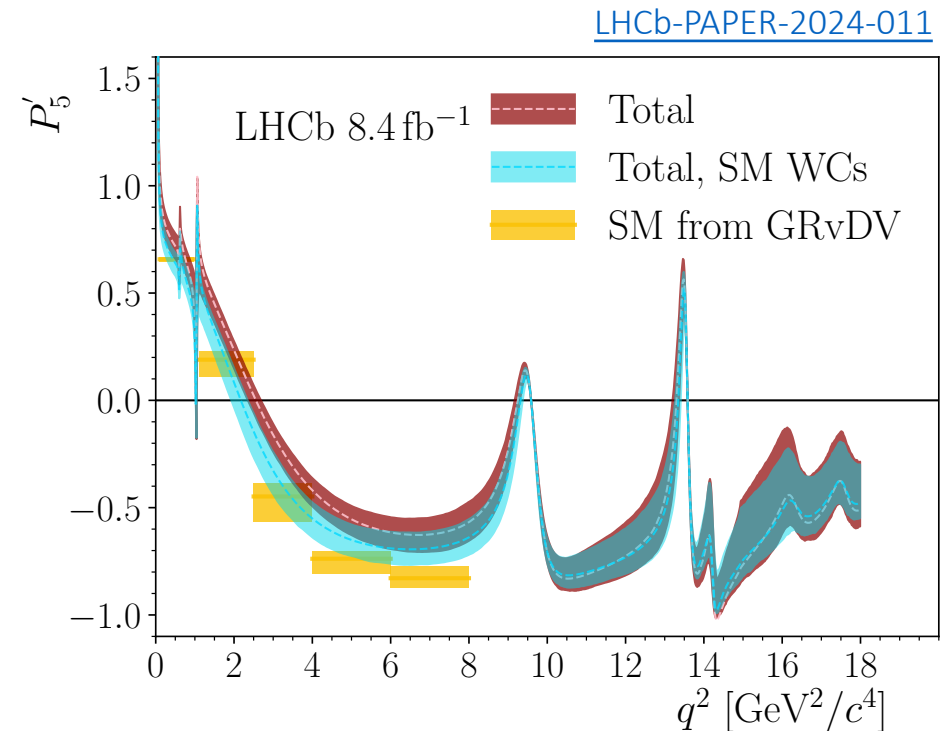
- Global significance: 1.5 σ from SM

Interpretation of the measurement

- Analysis makes it possible to separate local from non-local contributions!
- Non-local contributions do influence angular observables



- Cyan: Fixing experimental local results to SM predictions:
 - Cyan and yellow: impact of non-local modelling
 - Cyan and red: impact of possible NP
- → P'_5 tension cannot be fully described by non-local contributions!

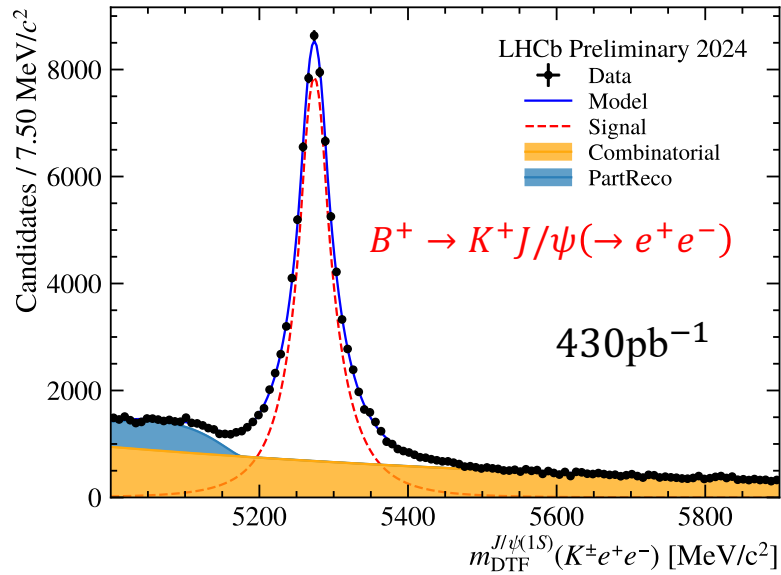


Towards Run 3 data

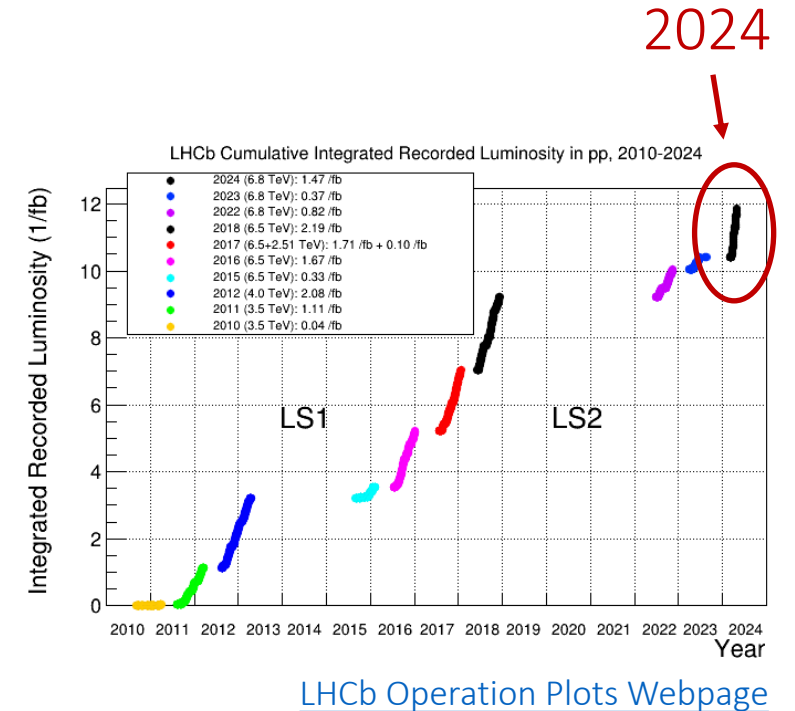
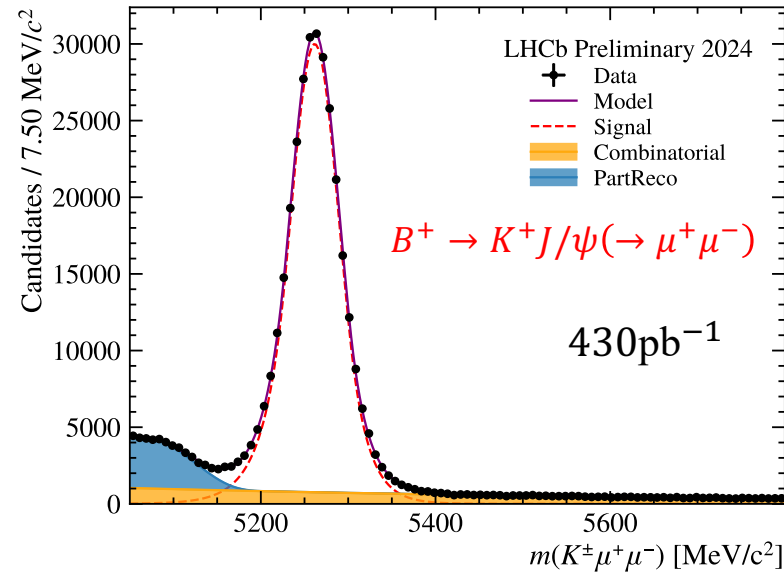
First B decays plots of 2024

- LHCb is collecting copious data samples of B decays thanks to increased pile-up (from 1 to 5) and trigger efficiencies.
- Precision measurements expected with 2024 data!

LHCb-FIGURE-2024-007



LHCb-FIGURE-2024-007

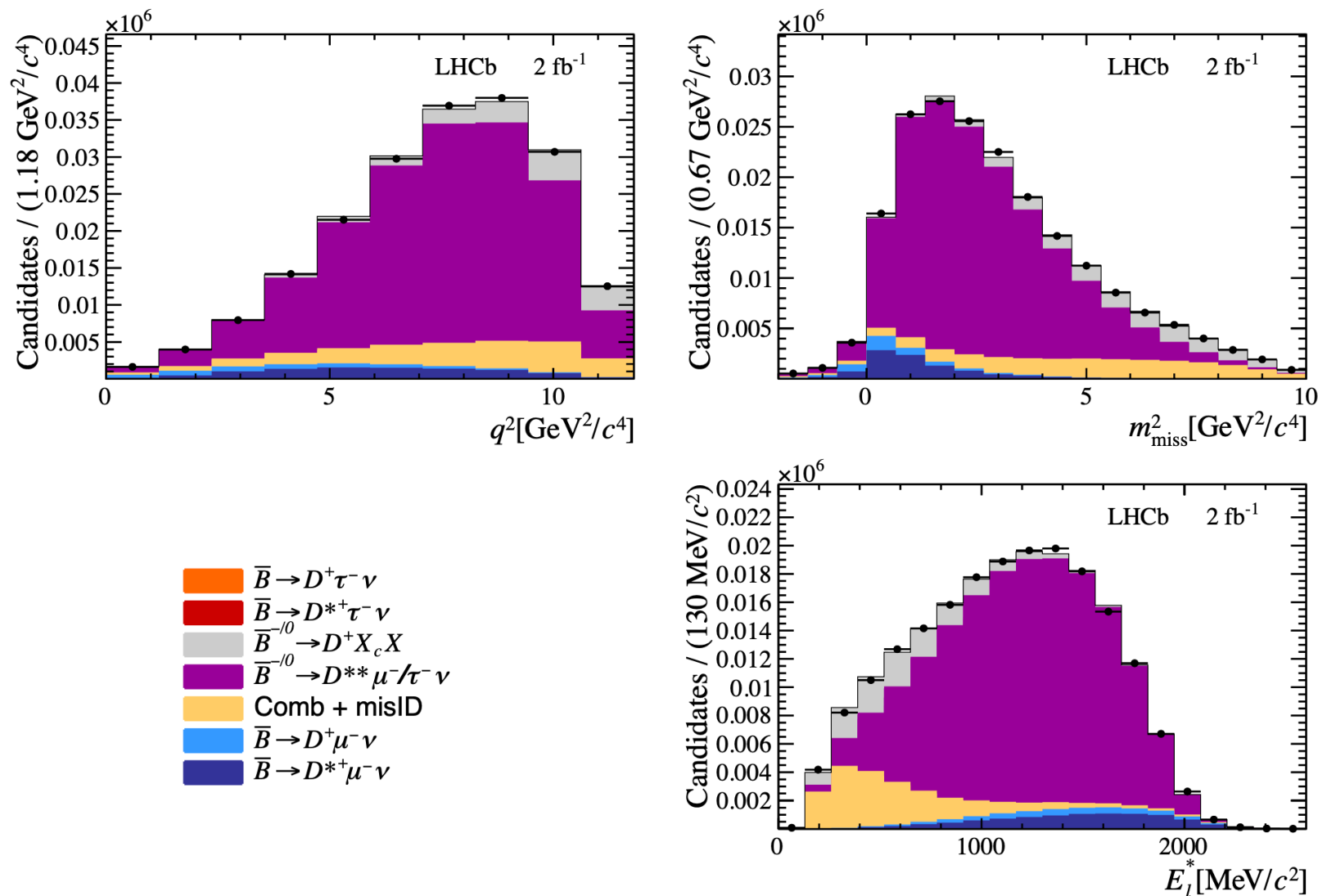


Summary

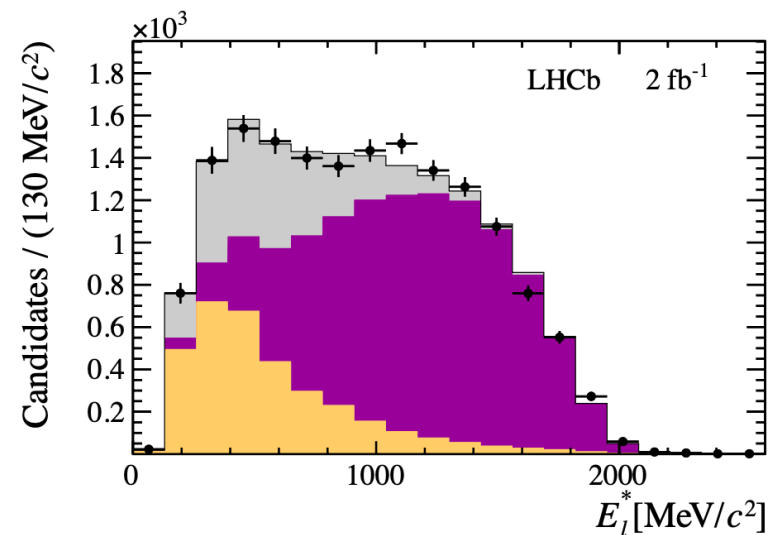
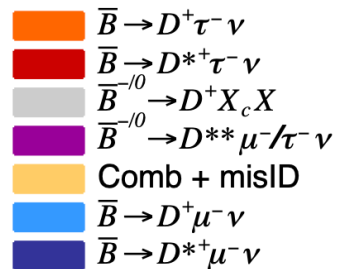
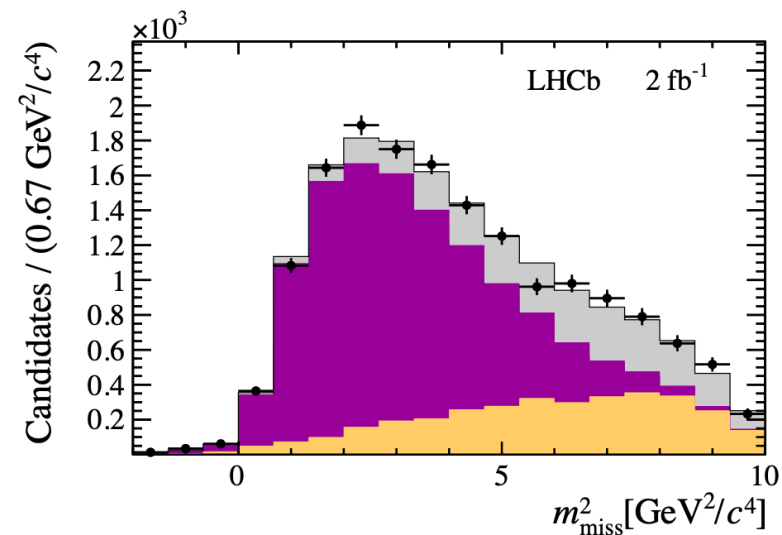
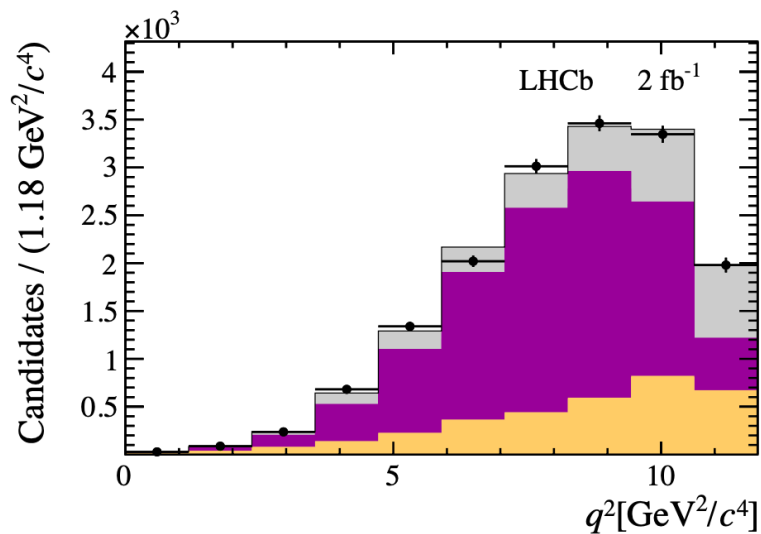
- New measurement of $R(D^+)$ and $R(D^{*+})$ using muonic τ decays transitions compatible with world average and SM expectations:
 - $\sim 3\sigma$ tension remains
- Complex angular analysis of $B^0 \rightarrow K^{*0} \mu^+ \mu^-$ allows to separate local from non-local effects:
 - Important input for theorists to improve our understanding of non-local effects
 - SM tensions not fully excluded
- LHCb is collecting high B -decays yields:
 - Expect precise updates on LFU and flavour anomalies measurements!

BACKUP

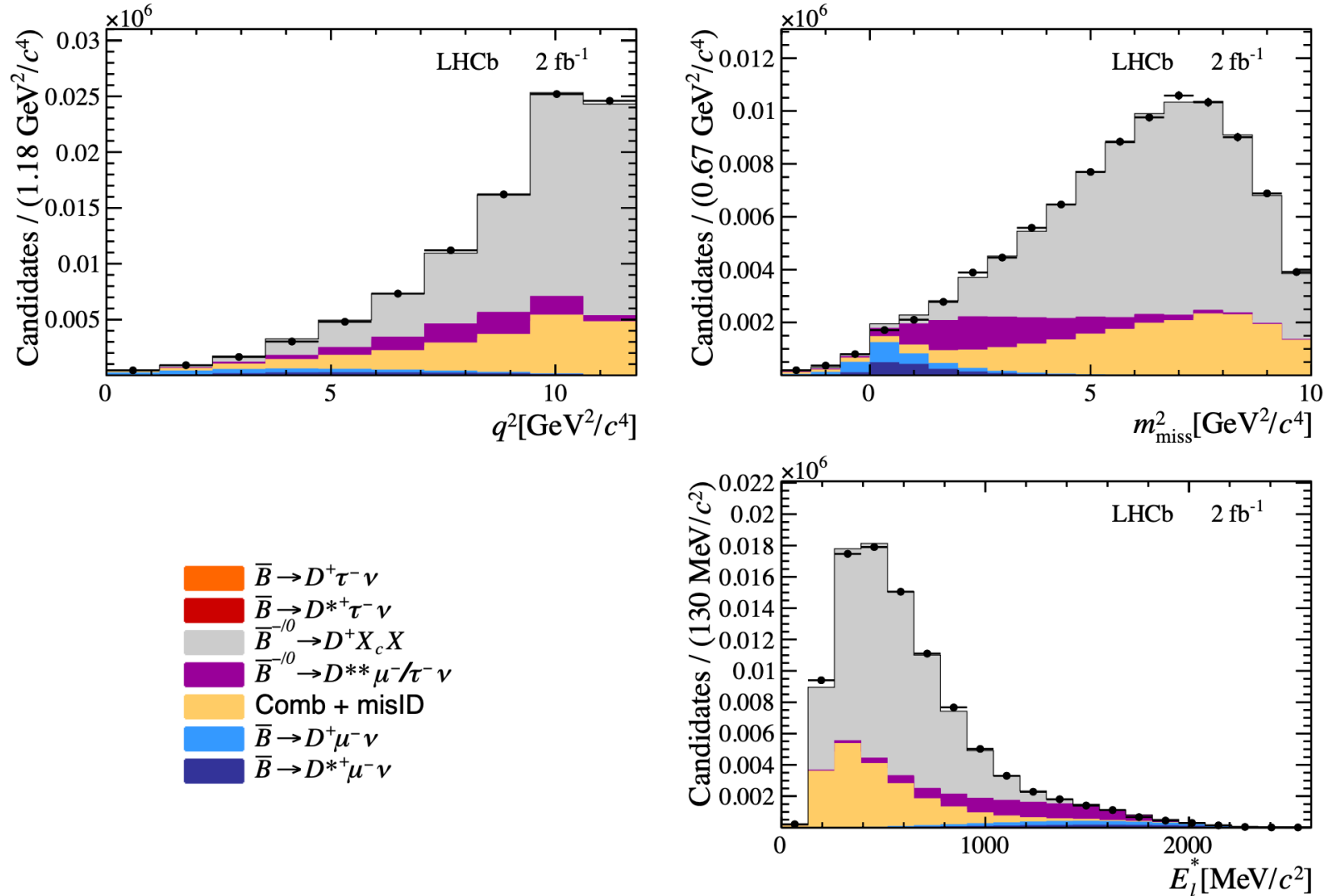
$R(D) - R(D^*)$ results in the 1π sample



$R(D) - R(D^*)$ results in the 2π sample



$R(D) - R(D^*)$ results in the 1K sample



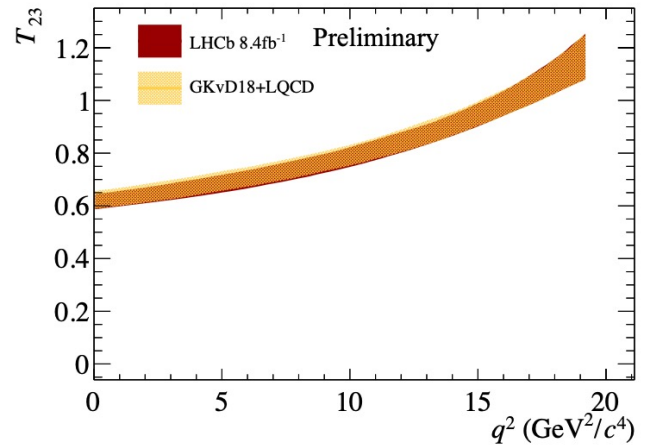
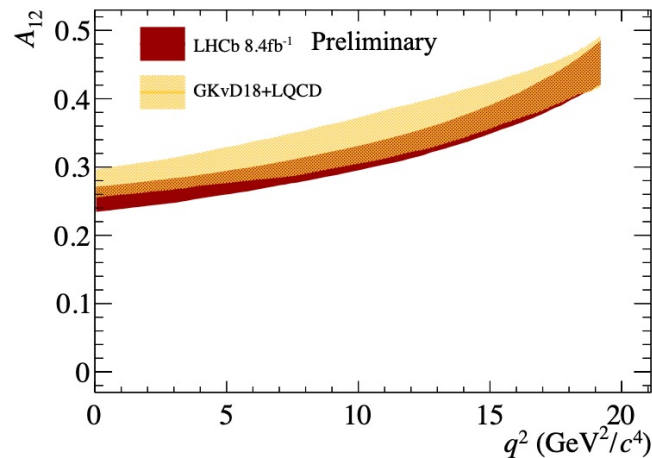
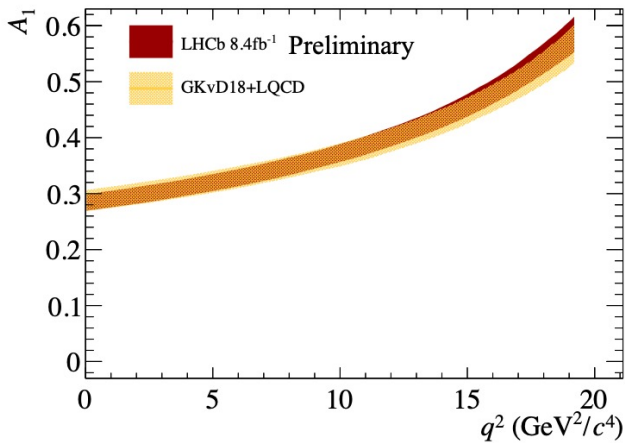
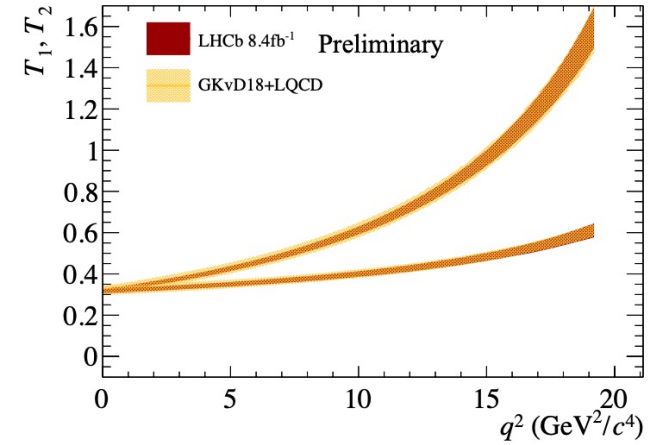
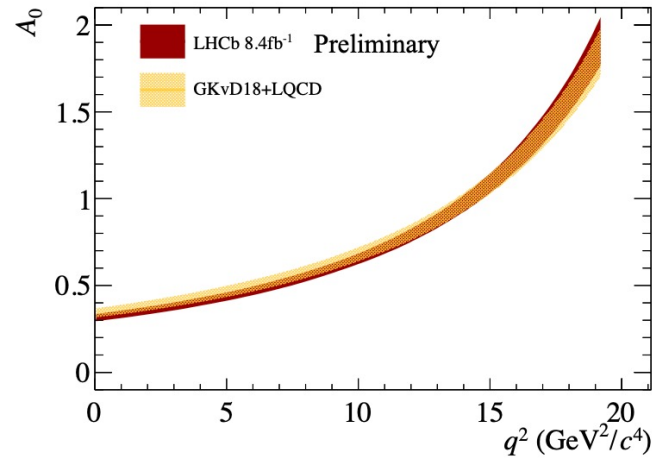
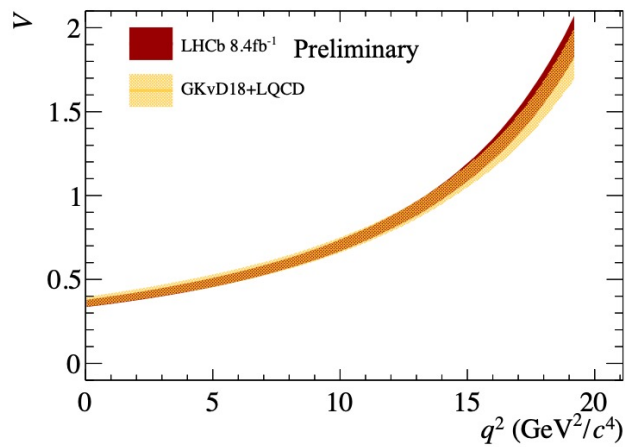
Neutrino Reconstruction

- For muonic decay:
 - $p_{Bz} = \frac{m_B}{m_Y} p_{Yz}$
 - p_B direction aligns with the vector connecting B decay vertex and associated PV

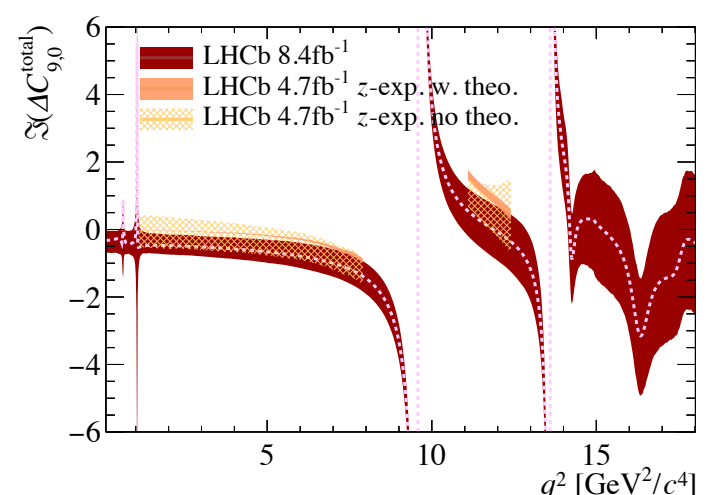
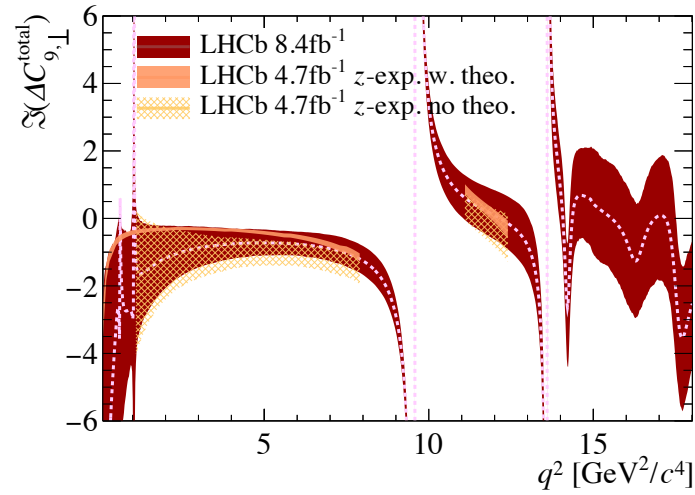
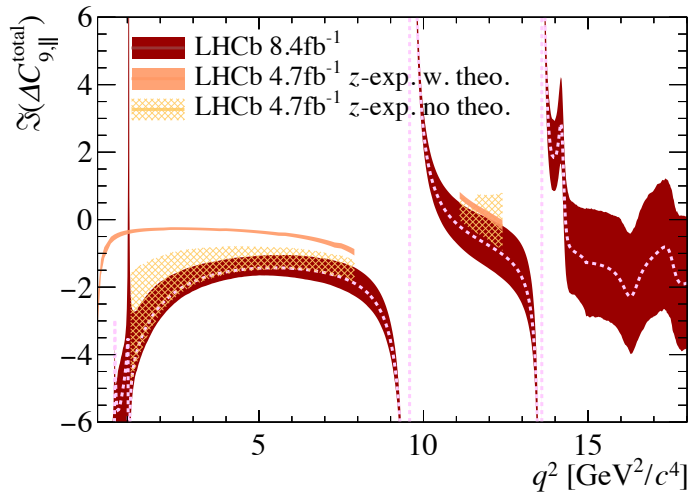
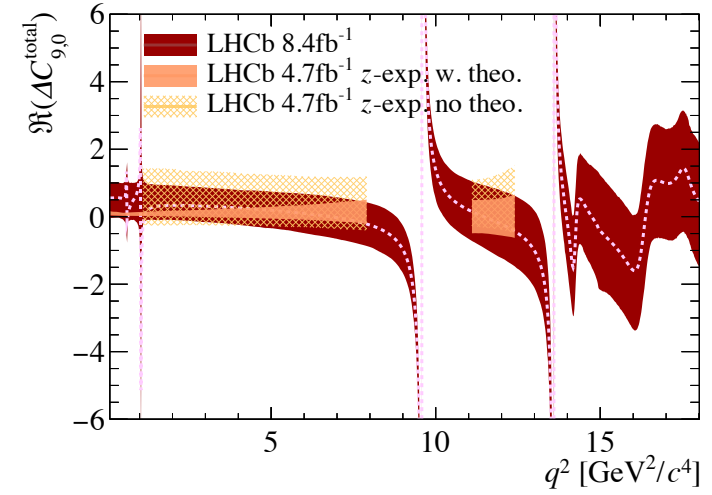
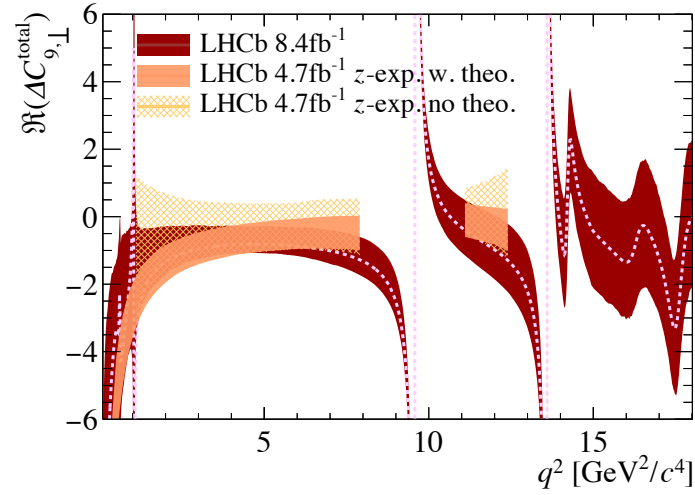
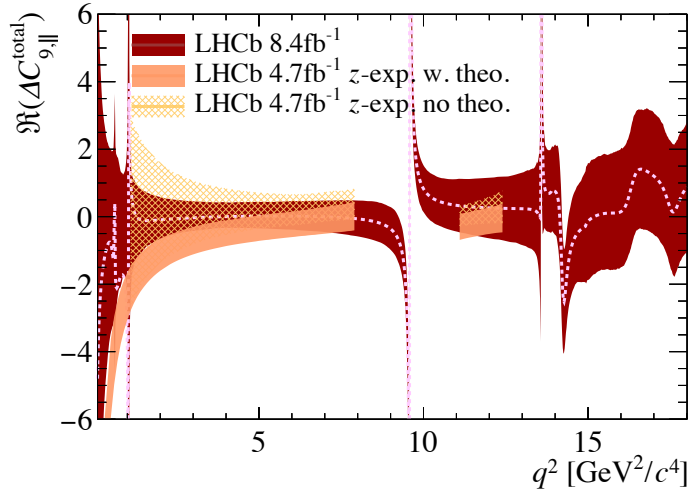
- For hadronic τ decay:
 - Four-momentum conservation
 - Constraints of τ and B known masses
 - p_B direction aligns with the vector connecting B vertex and associated PV
 - p_τ direction aligns with the vector connecting τ and B vertices
 - Solve equations to determine missing momentum with two-fold ambiguity

Local form factors interpolation

- Comparison between **prior** and **posterior**

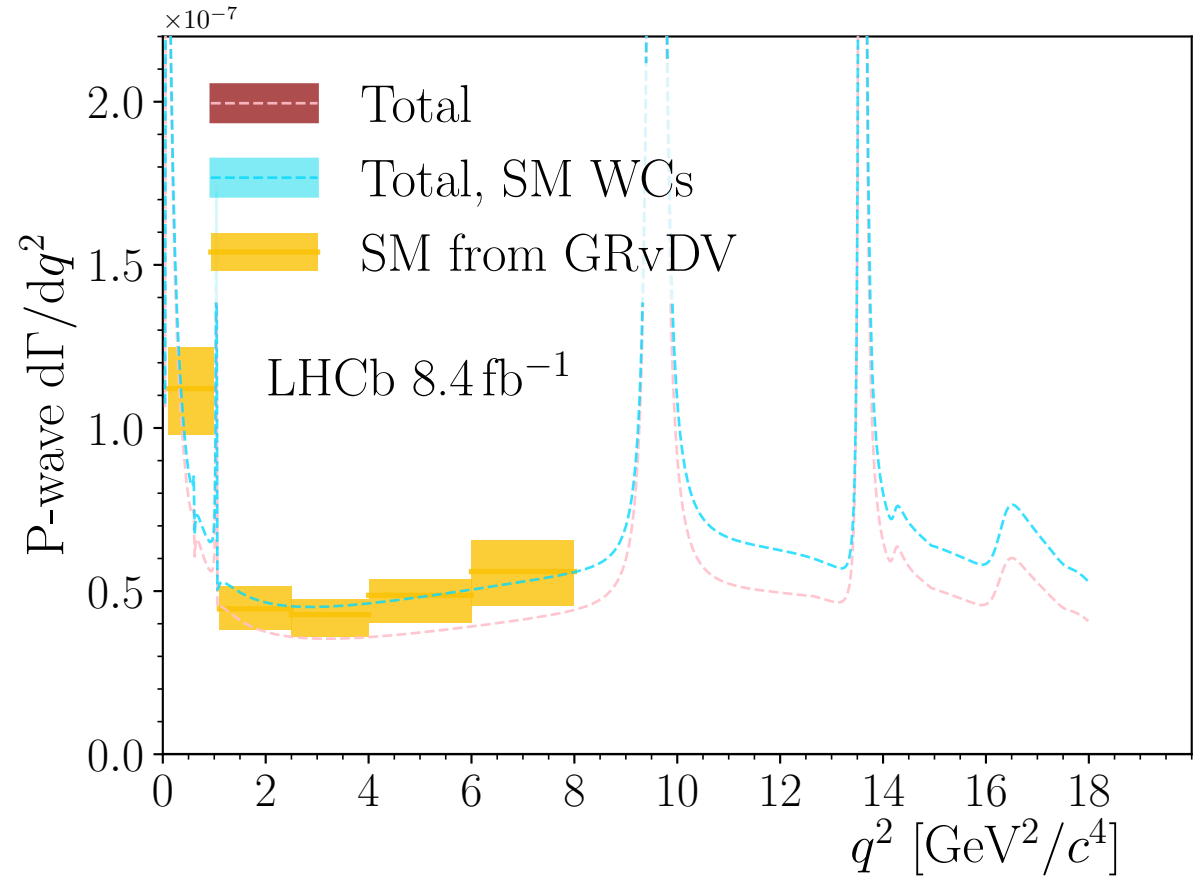
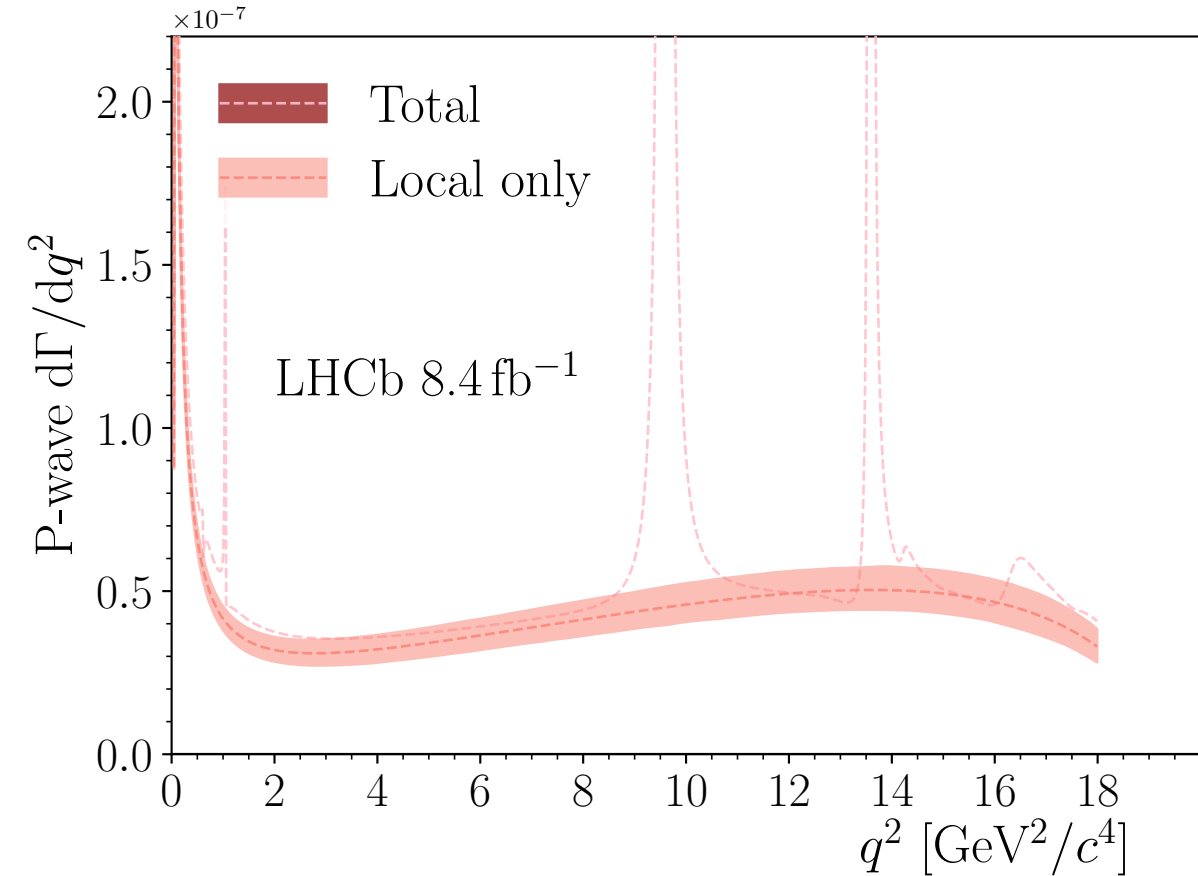


Impact of non-local amplitudes on the WCs, shown per helicity

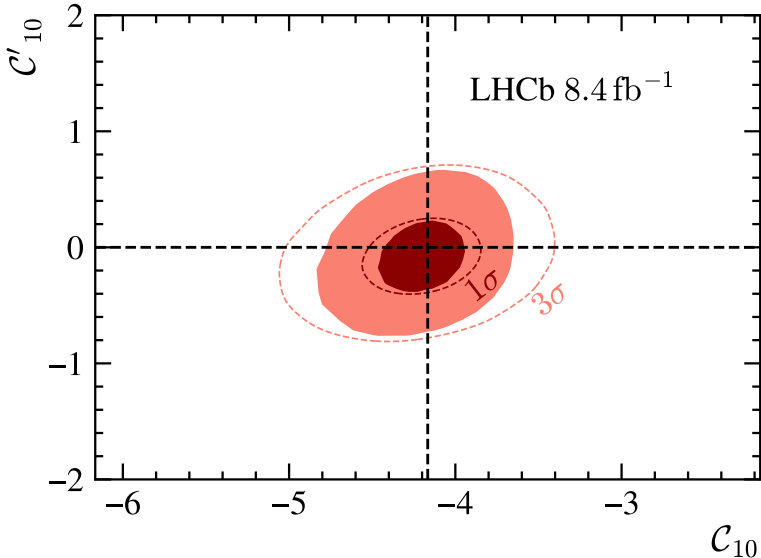
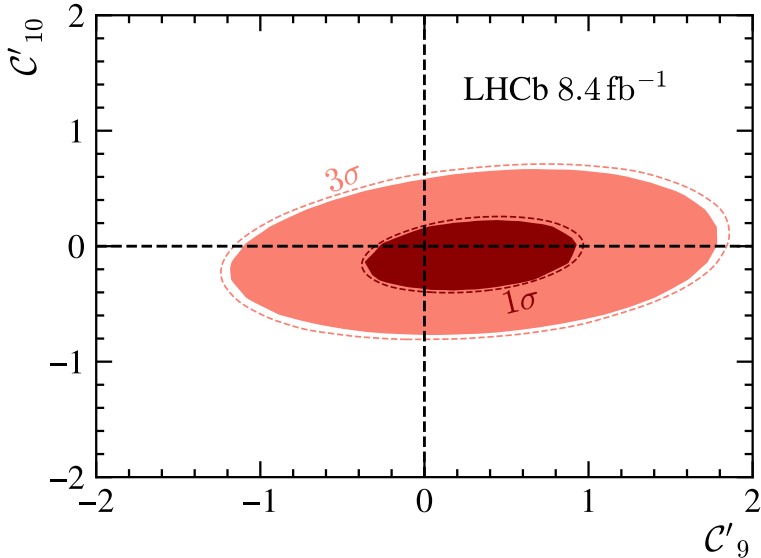
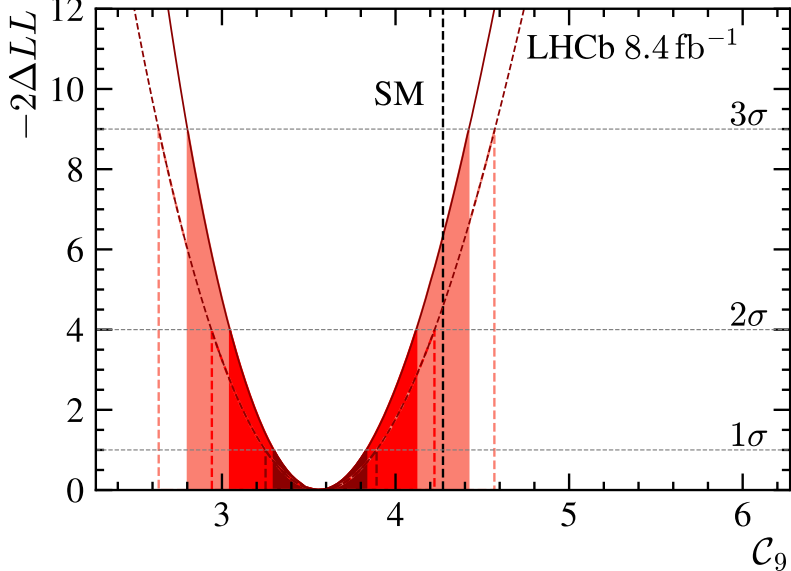
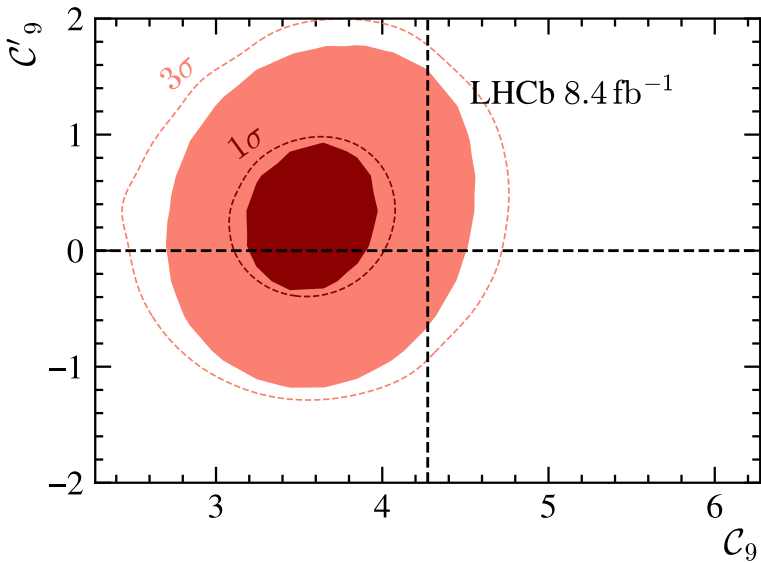
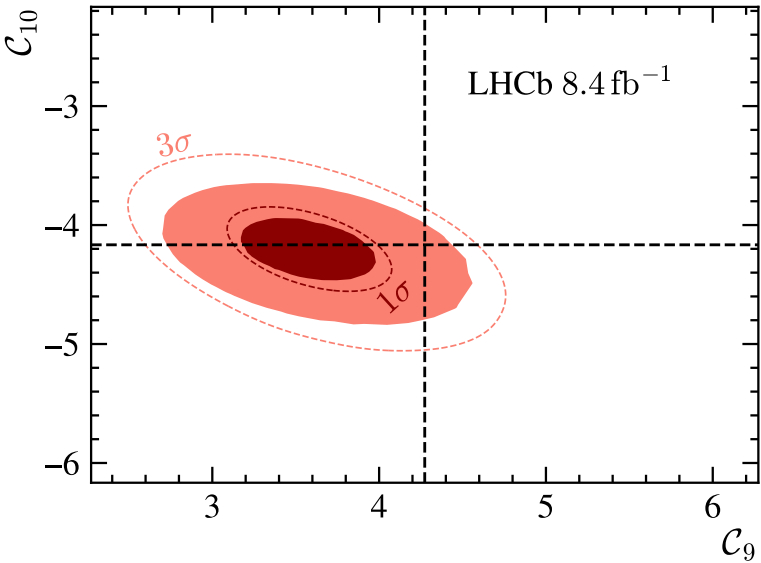


P-wave differential BF

- Cyan: Fixing experimental local results to SM predictions:
 - Cyan and yellow: impact of non-local modelling
 - Cyan and red: impact of possible NP

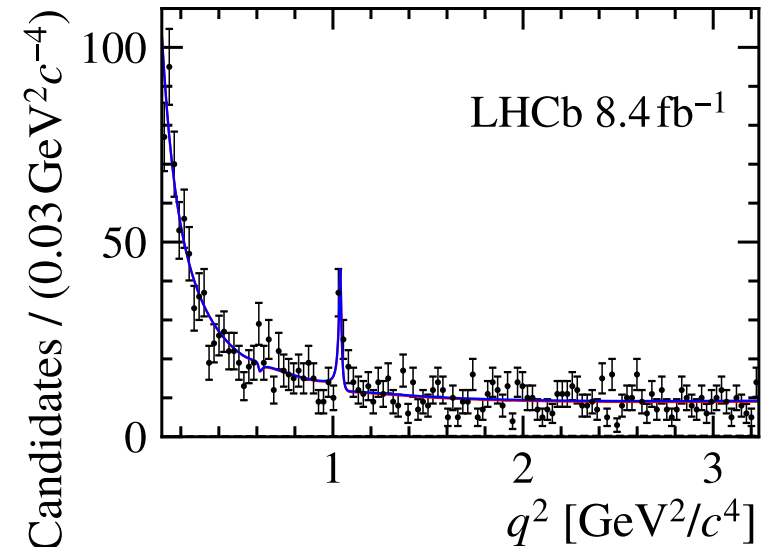
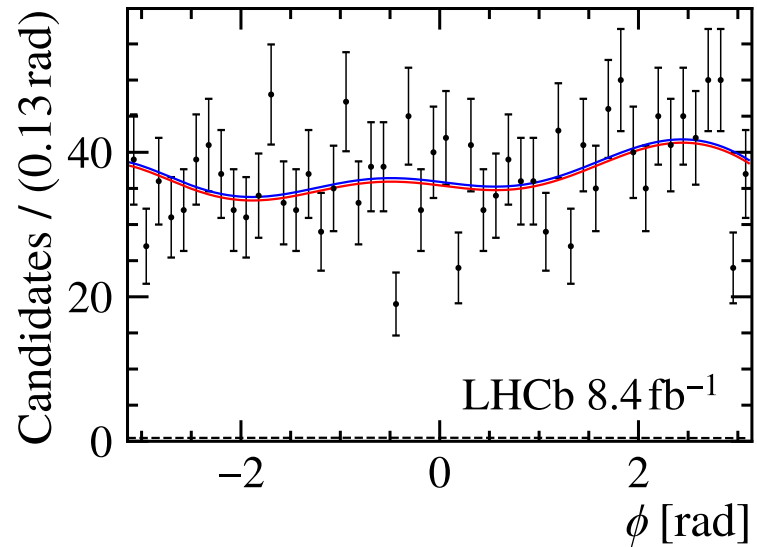
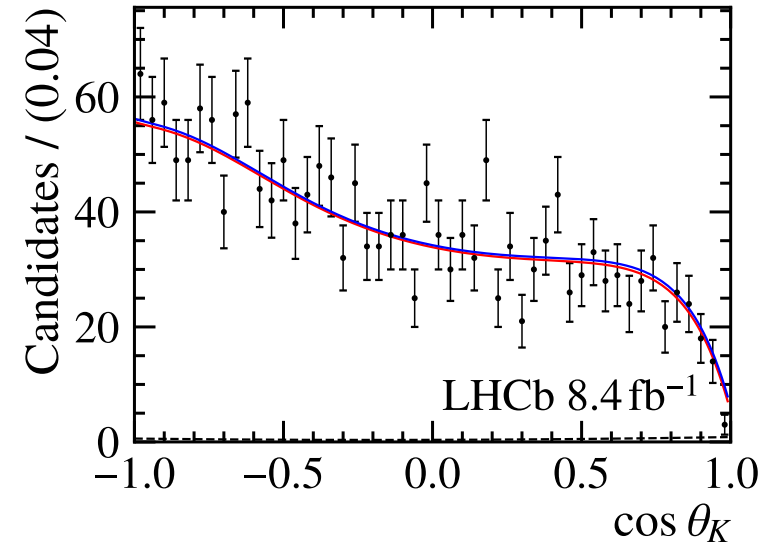
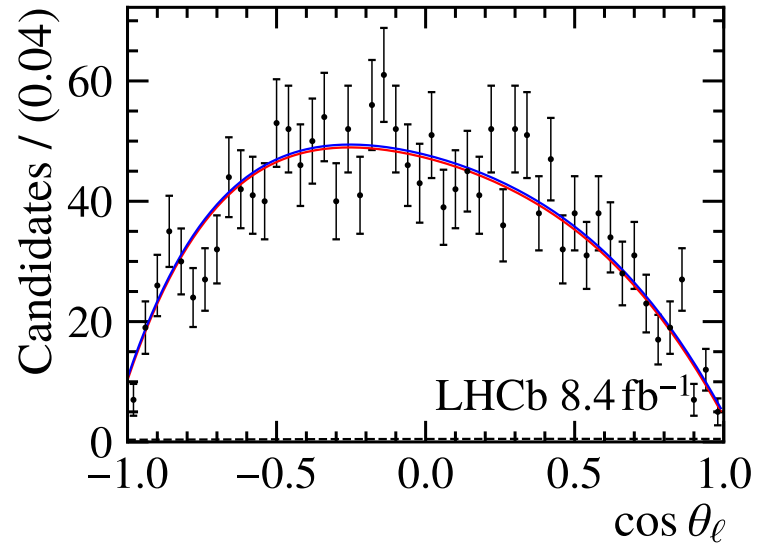


Wilson coefficients results

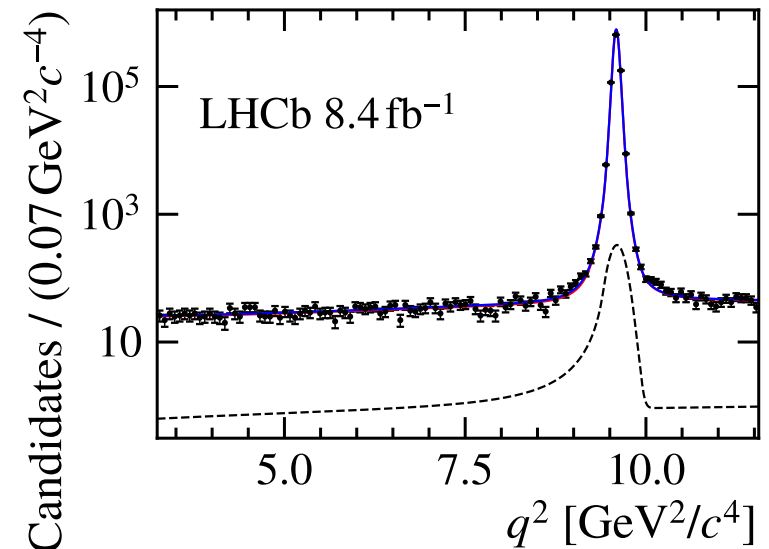
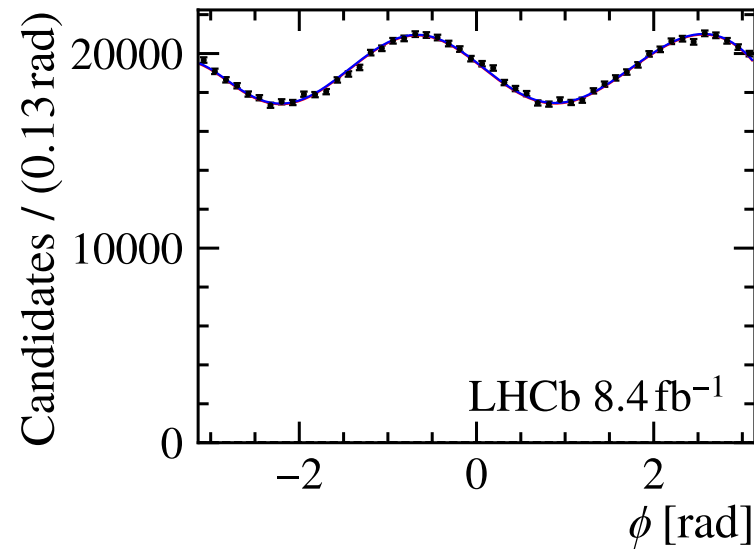
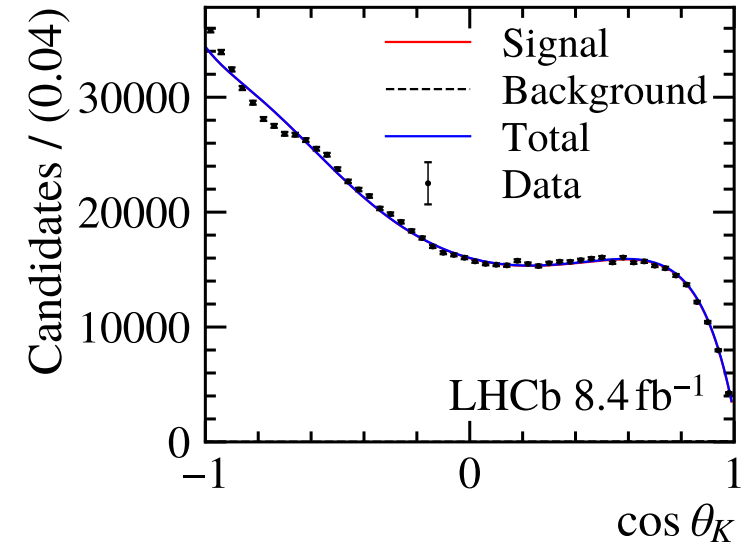
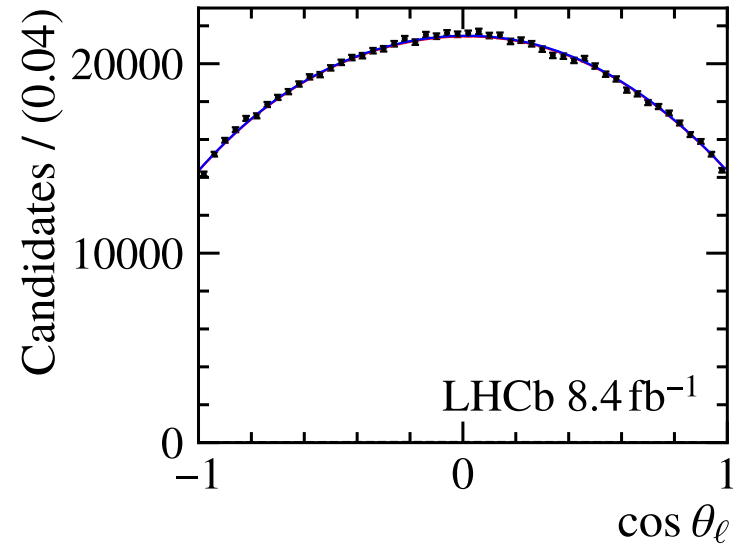


Wilson Coefficient results	
C_9	$3.56 \pm 0.28 \pm 0.18$
C_{10}	$-4.02 \pm 0.18 \pm 0.16$
C'_9	$0.28 \pm 0.41 \pm 0.12$
C'_{10}	$-0.09 \pm 0.21 \pm 0.06$
$C_{9\tau}$	$(-1.0 \pm 2.6 \pm 1.0) \times 10^2$

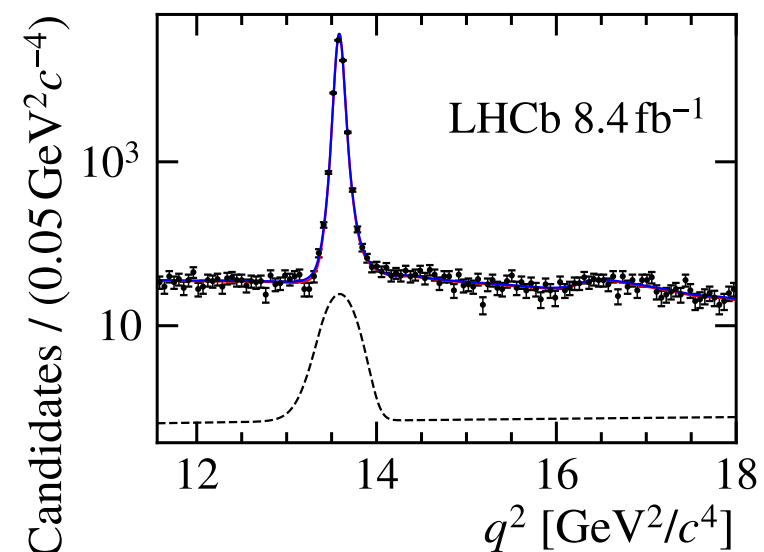
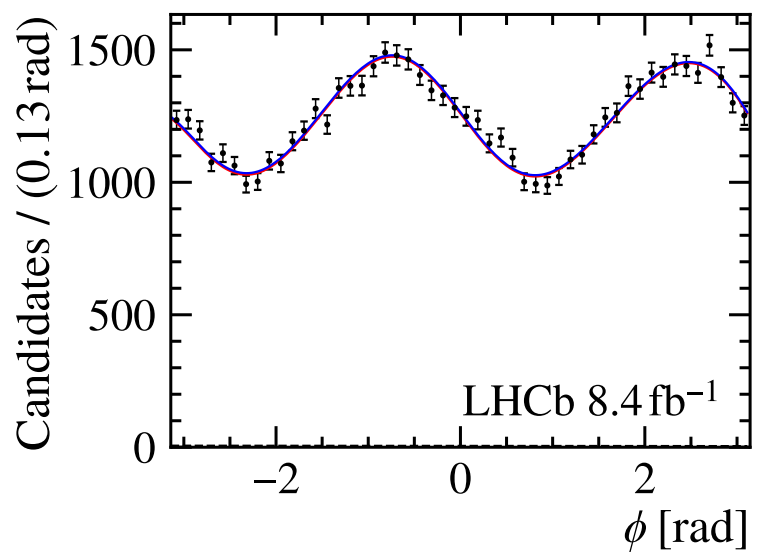
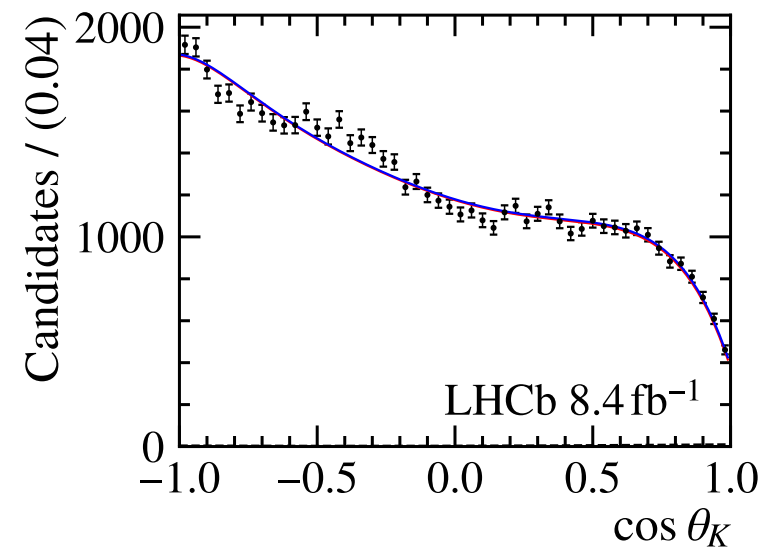
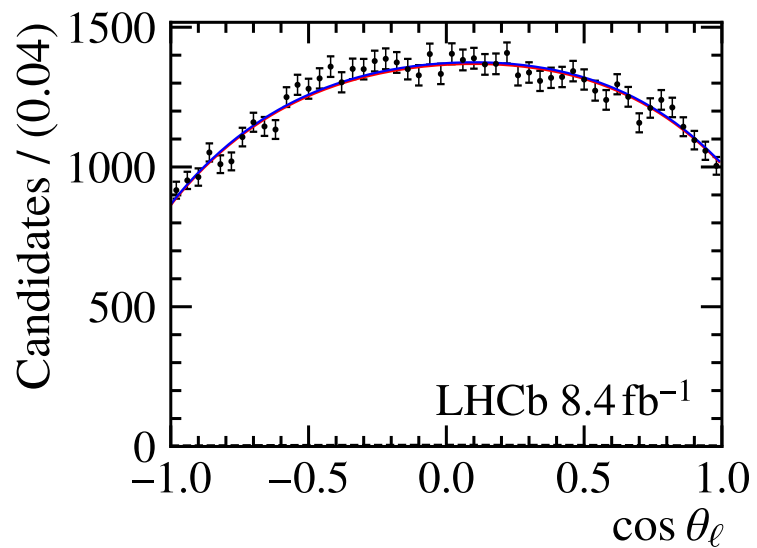
Angular fit: low- q^2



Angular fit: central- q^2



Angular fit: high- q^2

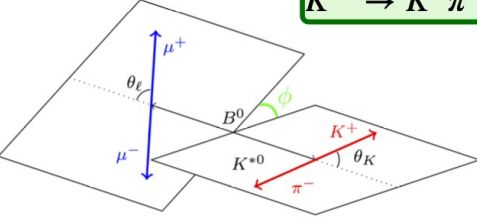
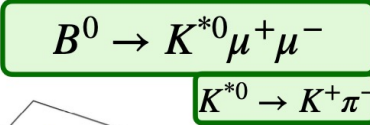


Z-expansion: another cool method!

[Phys. Rev. Lett. 132 (2024) 131801]
 [Phys. Rev. D 109 (2024) 052009]

Z-expansion

Decay rate:
$$\frac{d^5\Gamma[B^0 \rightarrow K^{*0}\mu^+\mu^-]}{dq^2 dk^2 d\vec{\Omega}} = \frac{9}{32\pi} \sum_i I_i(q^2, k^2) f_i(\vec{\Omega})$$



$$A_\lambda^{L,R} = \mathcal{N}_\lambda \left\{ \underbrace{[(C_9 \pm C_9') \mp (C_{10} \pm C_{10}')] \mathcal{F}_\lambda(q^2)}_{\text{WCs}} + \frac{2m_b M_B}{q^2} \underbrace{[(C_7 \pm C_7') \mp \mathcal{F}_\lambda^J(q^2)]}_{\text{WCs}} - 16\pi^2 \frac{M_B}{m_b} \underbrace{\mathcal{H}_\lambda(q^2)}_{\text{non-local}} \right\}$$

Labels: $I_i \propto (\mathcal{A}_{\lambda_1} \mathcal{A}_{\lambda_2}^*)$, $\mathcal{F}_\lambda(q^2)$ (FFs), $\mathcal{F}_\lambda^J(q^2)$ (FFs), $\mathcal{H}_\lambda(q^2)$ (non-local).
 Arrows: WCs (red) from Fit params; FFs (green) from Constrained ext. inputs; non-local (red) from Fixed to SM.

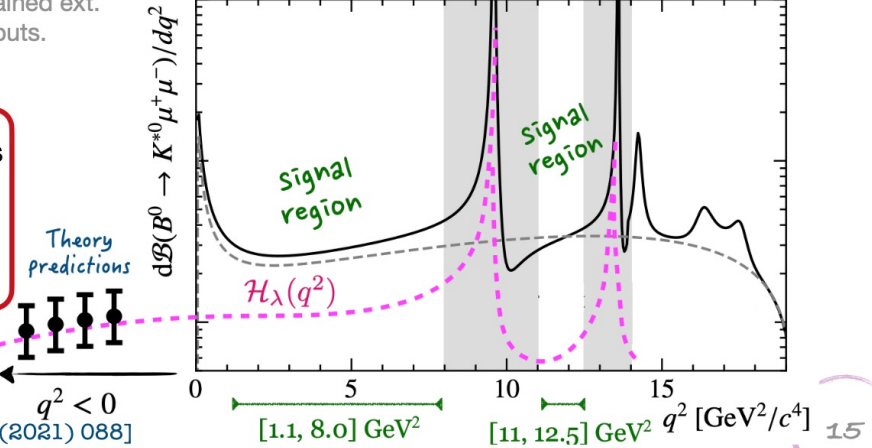
Map q^2 into $z(q^2)$, remove the poles and expand into a converging series

$$\mathcal{H}_\lambda(z) = \frac{1 - z z_{J/\psi}^*}{z - z_{J/\psi}} \frac{1 - z z_{\psi(2S)}^*}{z - z_{\psi(2S)}} \times \dots \times \sum_n \alpha_{\lambda,n} z^n$$

Labels: $\alpha_{\lambda,n}$ (Fit params).



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[JHEP 02 (2021) 088]

First B decays plots of 2024

[LHCB-FIGURE-2024-007](#)