



DeGeSim – Pileup Modelling using AI

10-11-23

Stephen Jiggins - DESY



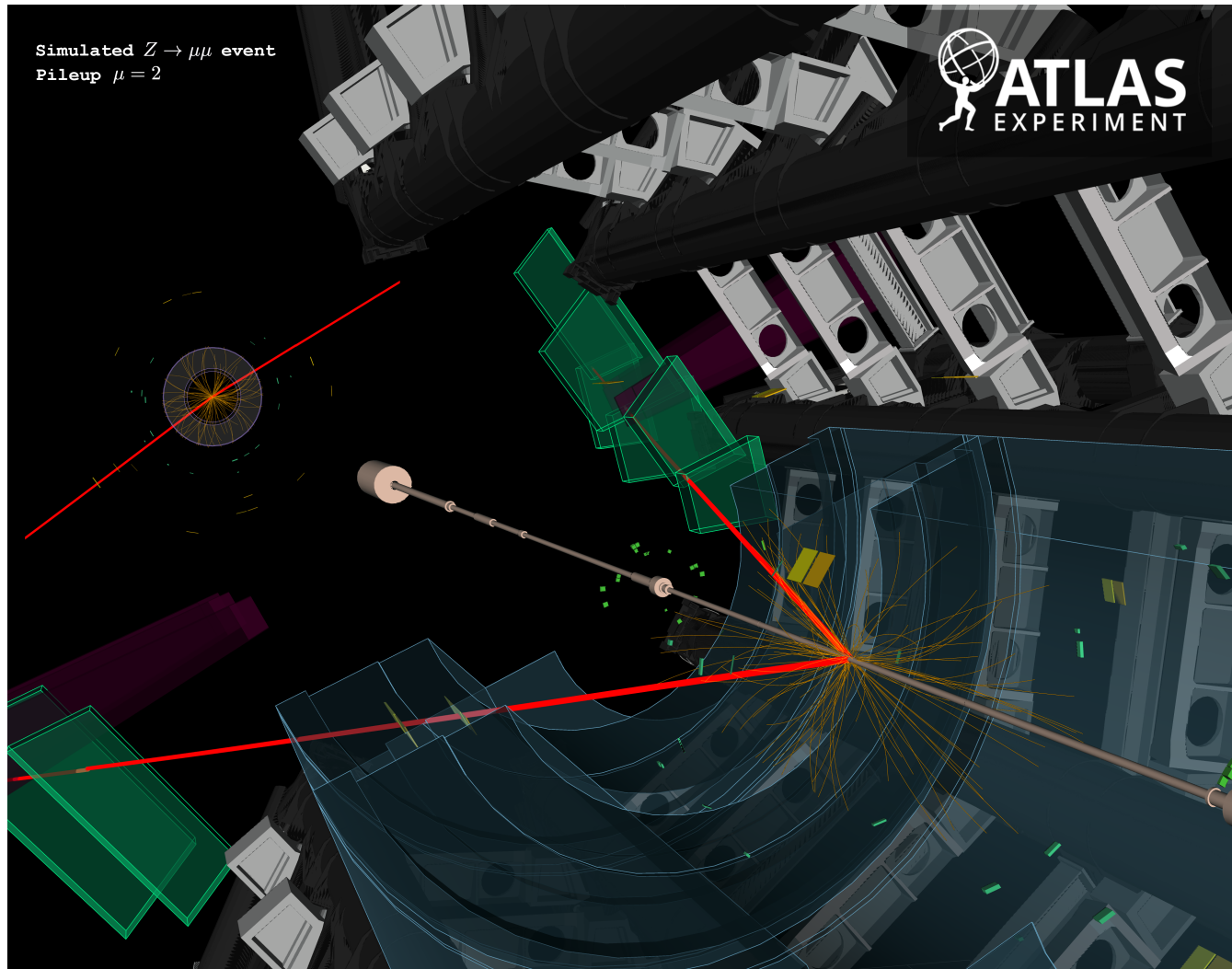
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Problem:

Pileup from multiple proton interactions currently miss-model data. This trend worsens with the number of interactions per bunch crossing leading to an explosive issue moving towards the HL-LHC:

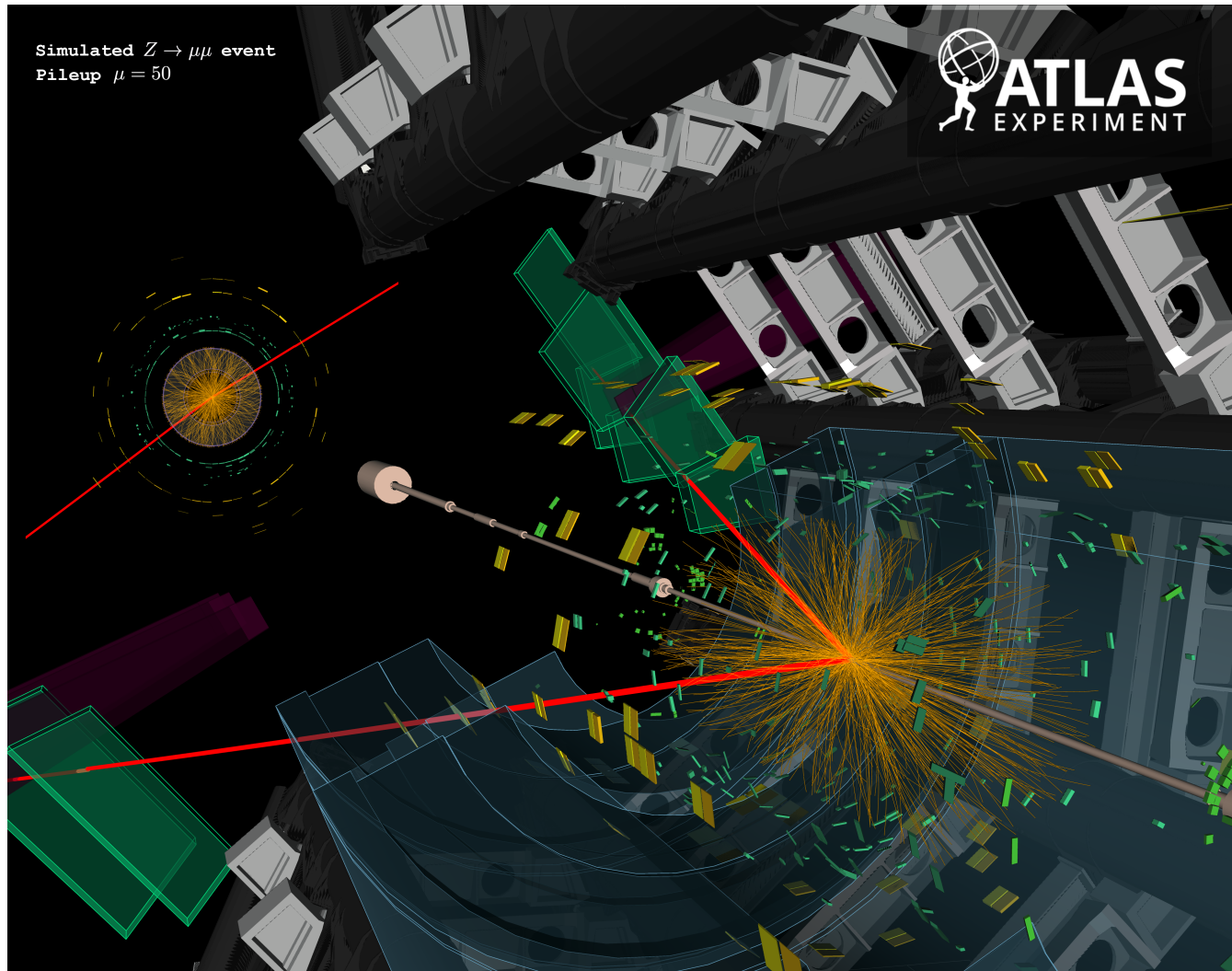
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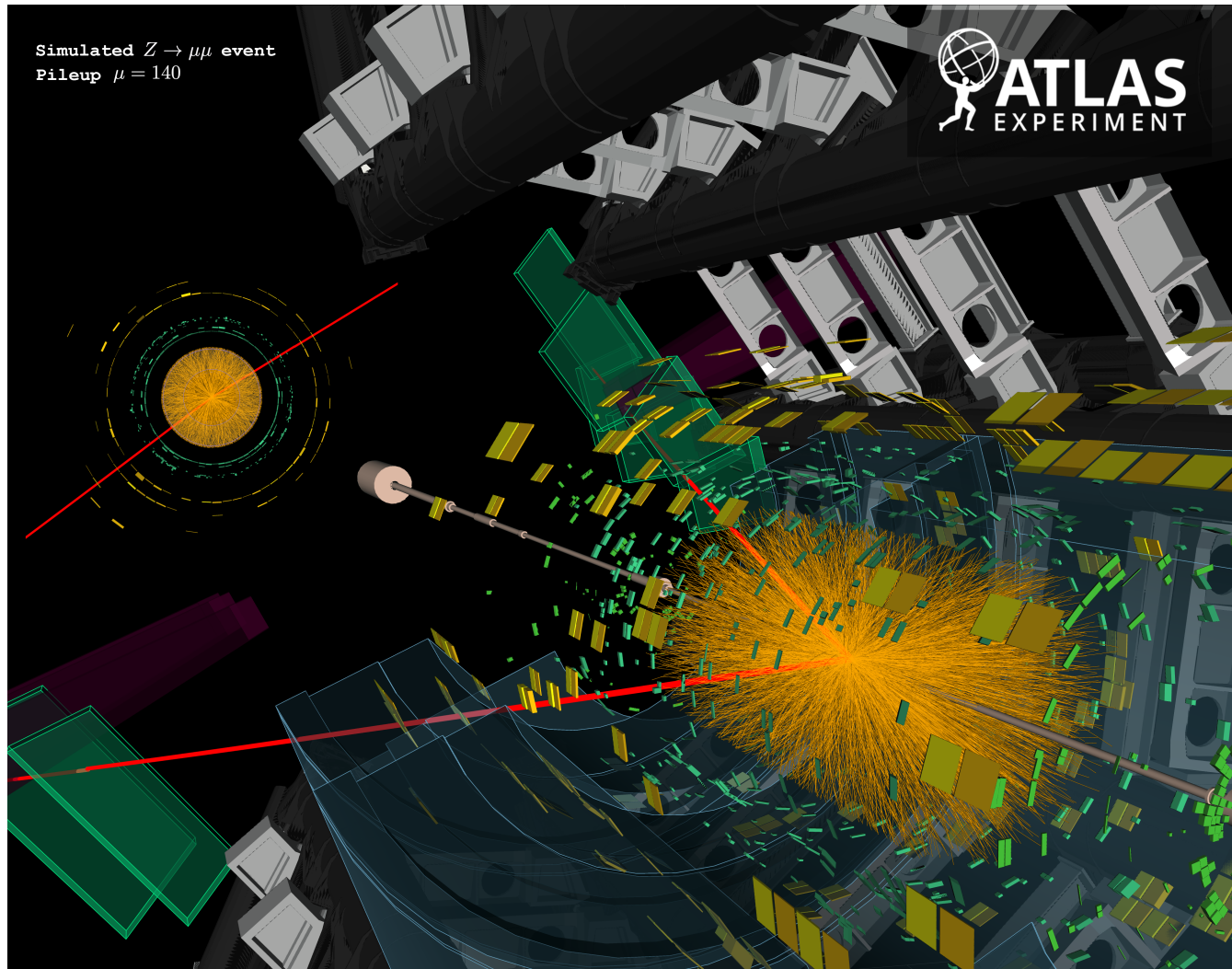
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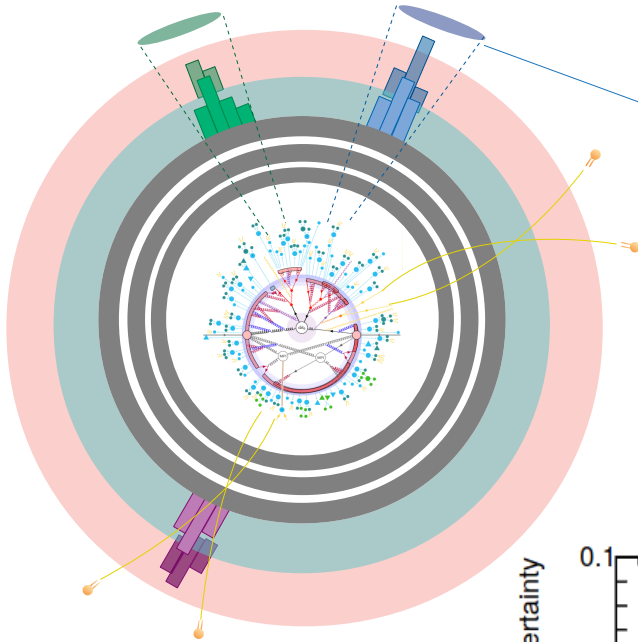
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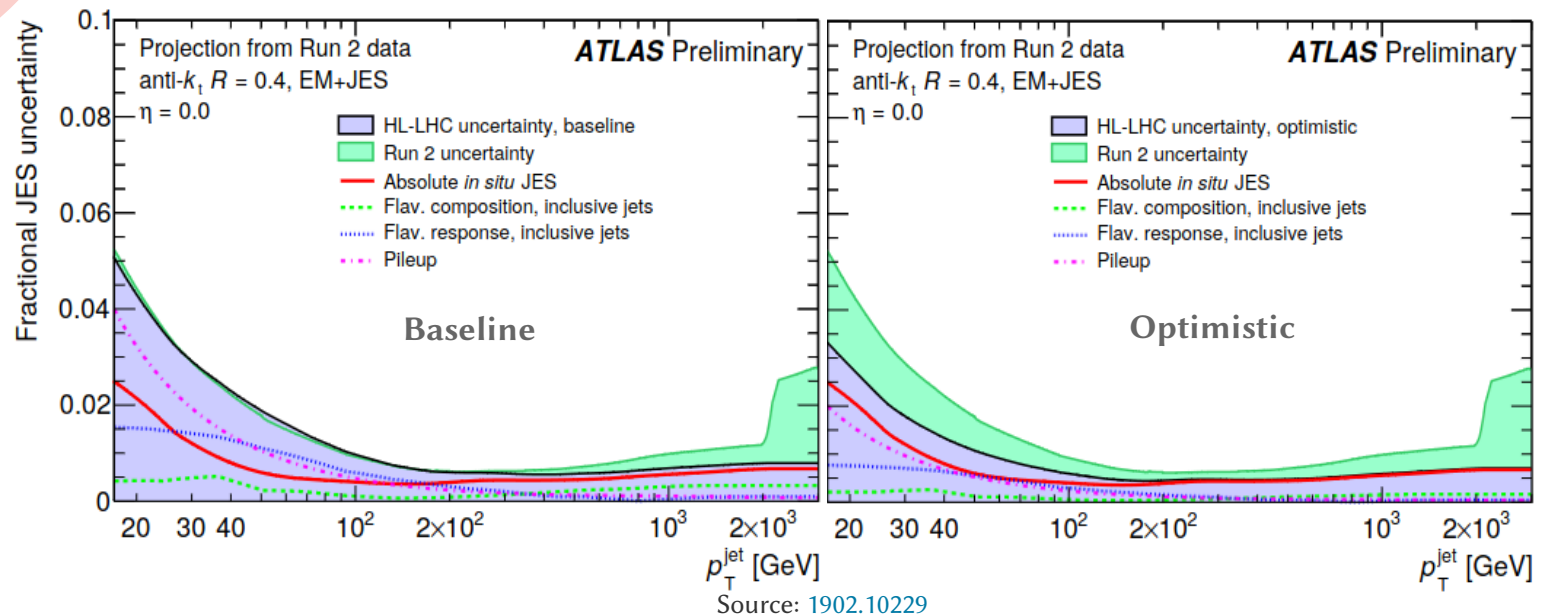


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Pileup from multiple proton interactions currently miss-model data. This trend worsens with the number of interactions per bunch crossing leading to an explosive issue moving towards the HL-LHC:



→ HL-LHC jet performance projections for ATLAS 1902.10229:
Baseline ~ Run-2
Optimistic: Requires improved understanding of jet fragmentation & pile-up



Introduction



Project Aim:

Generative modelling of pileup interactions using zero-bias data instead of MC simulations using ML image synthesis techniques

DeGeSim:

Helmholtz AI funded project for simulating detector simulations in proton-proton colliders using deep generative ML models as joint project with CMS + Juelich + TRIUMF:

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ATLAS (DESY)



CMS (DESY)



Juelich



TRIUMF



Introduction

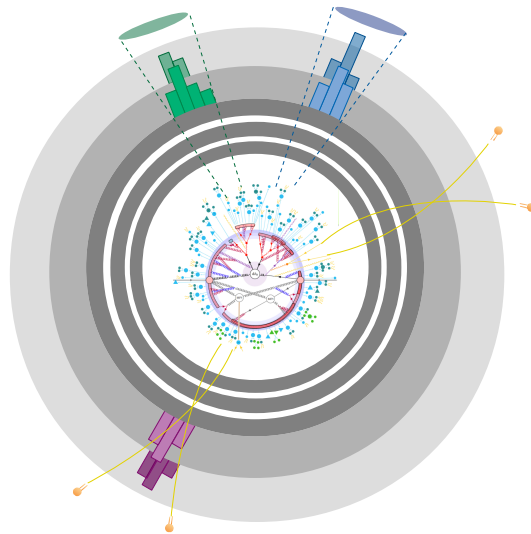


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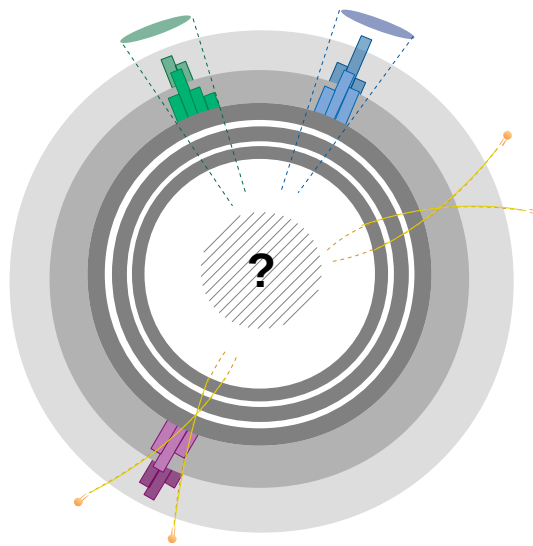
Monte Carlo (MC)

EPOS+Pythia8 simulated soft-QCD



$$f: X_{MC} \rightarrow X_D$$

Zero-Bias Data



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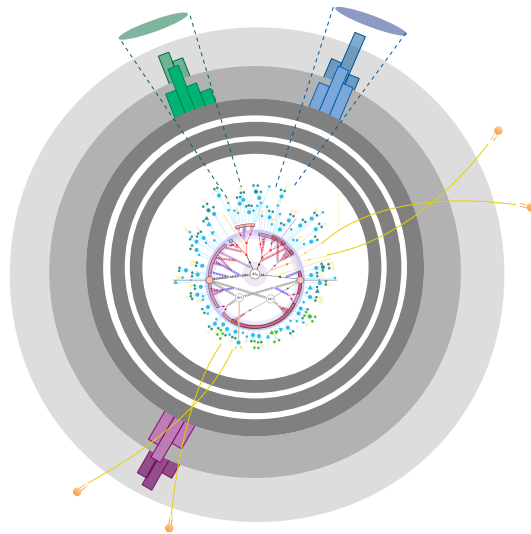


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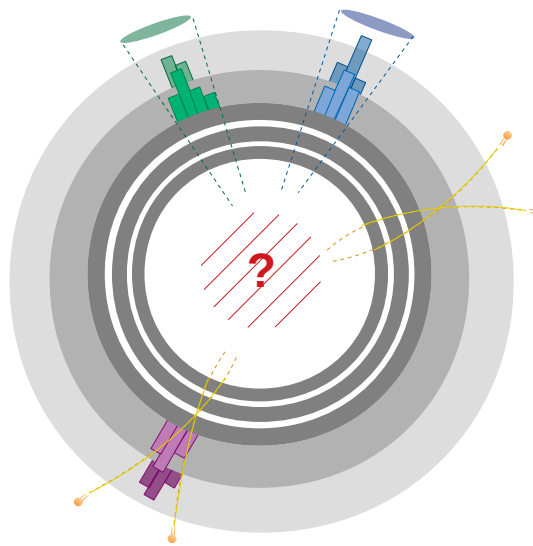
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ATLAS (DESY)



Boundary Conditions:

In terms of the simulation chain the data domain is limited to the simulated ATLAS tracker + calorimeters + MS

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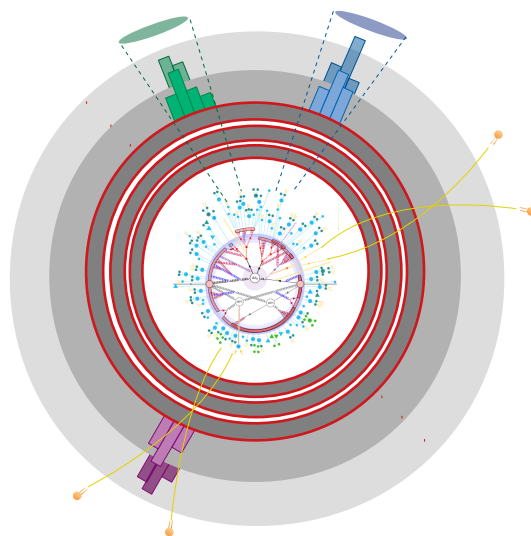


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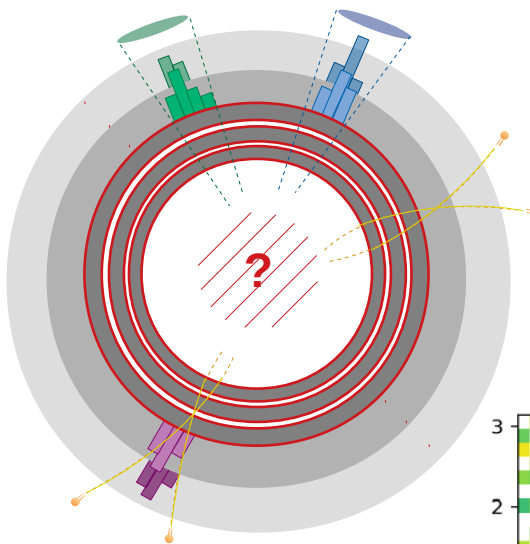
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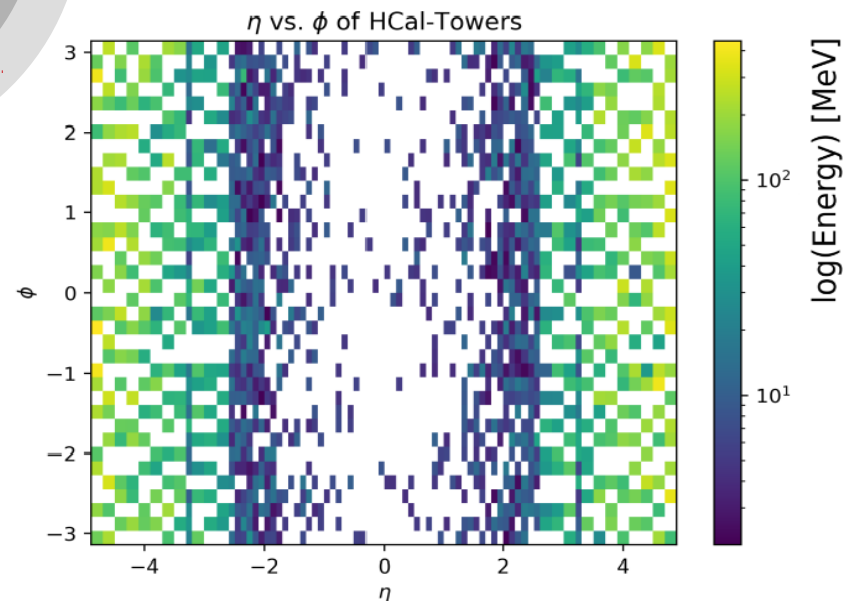
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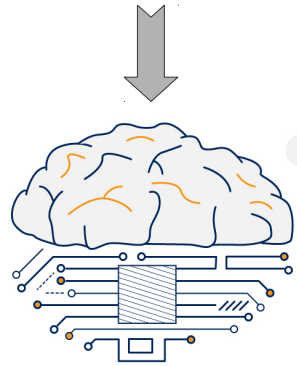
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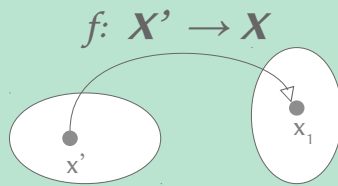


Which model?



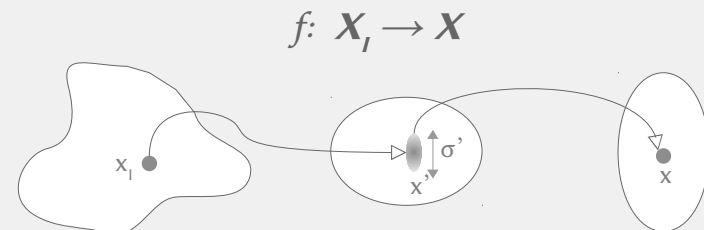
Fully Generative

Sample from a known function $P_s(\bar{x}' | \bar{\theta})$ to get \mathbf{X}' and then find a transformation from \mathbf{X}' to \mathbf{X} :



Seeded Generative

Transform from a sampled point \mathbf{X}_1 of a complex function $P_s(\bar{x} | \bar{\theta})$ and find a transformation from \mathbf{X}_1 to \mathbf{X} :



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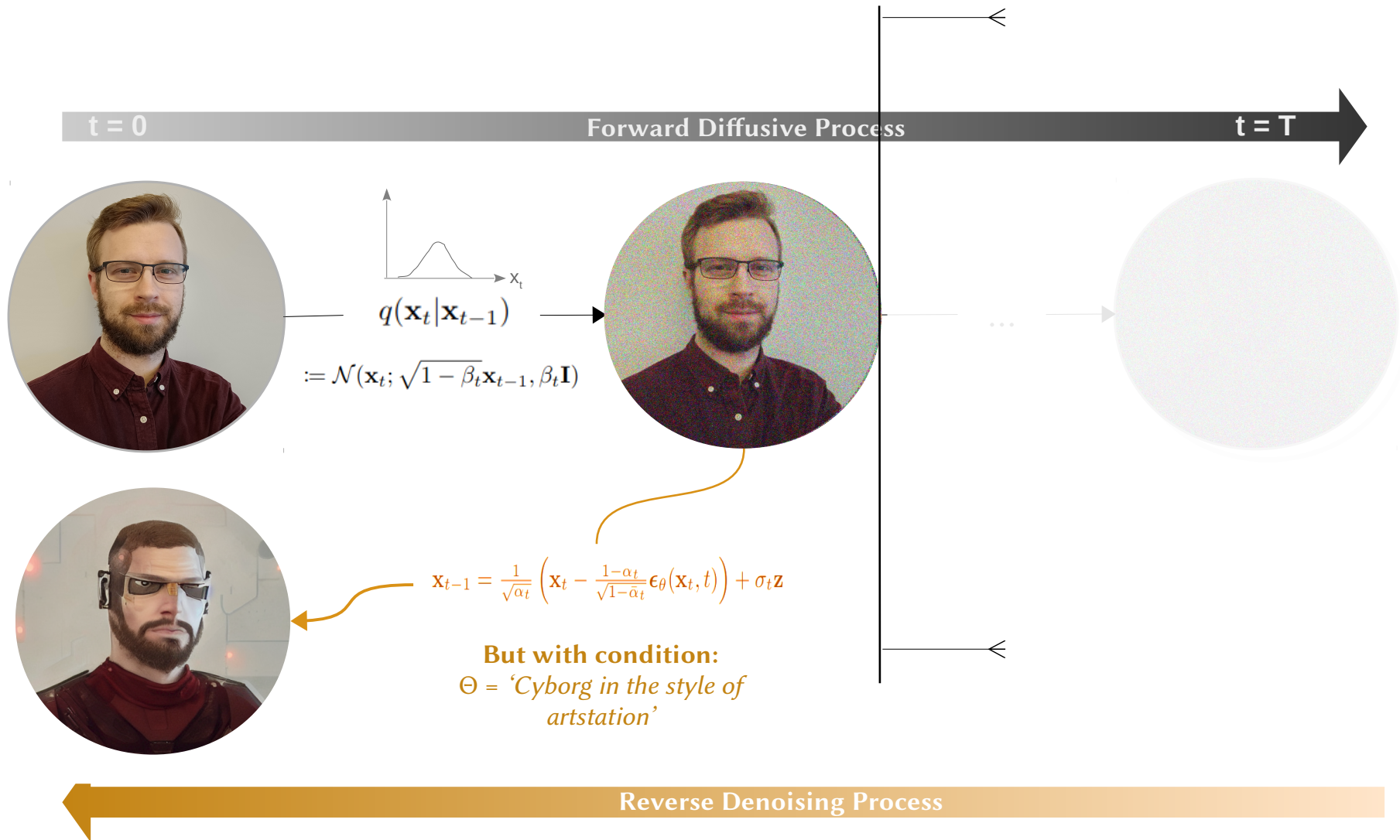
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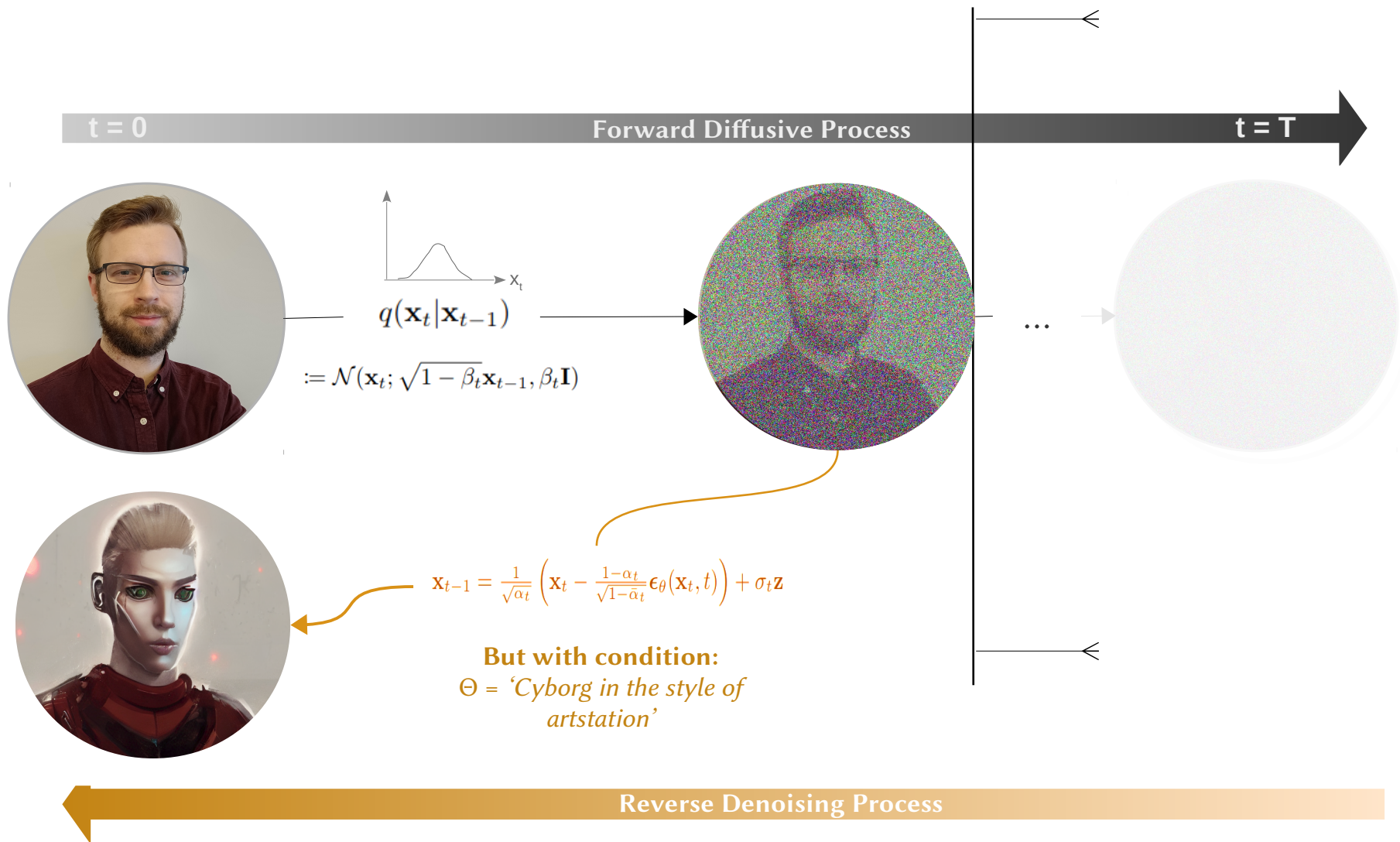


Denoising Diffusion Probabilistic Models

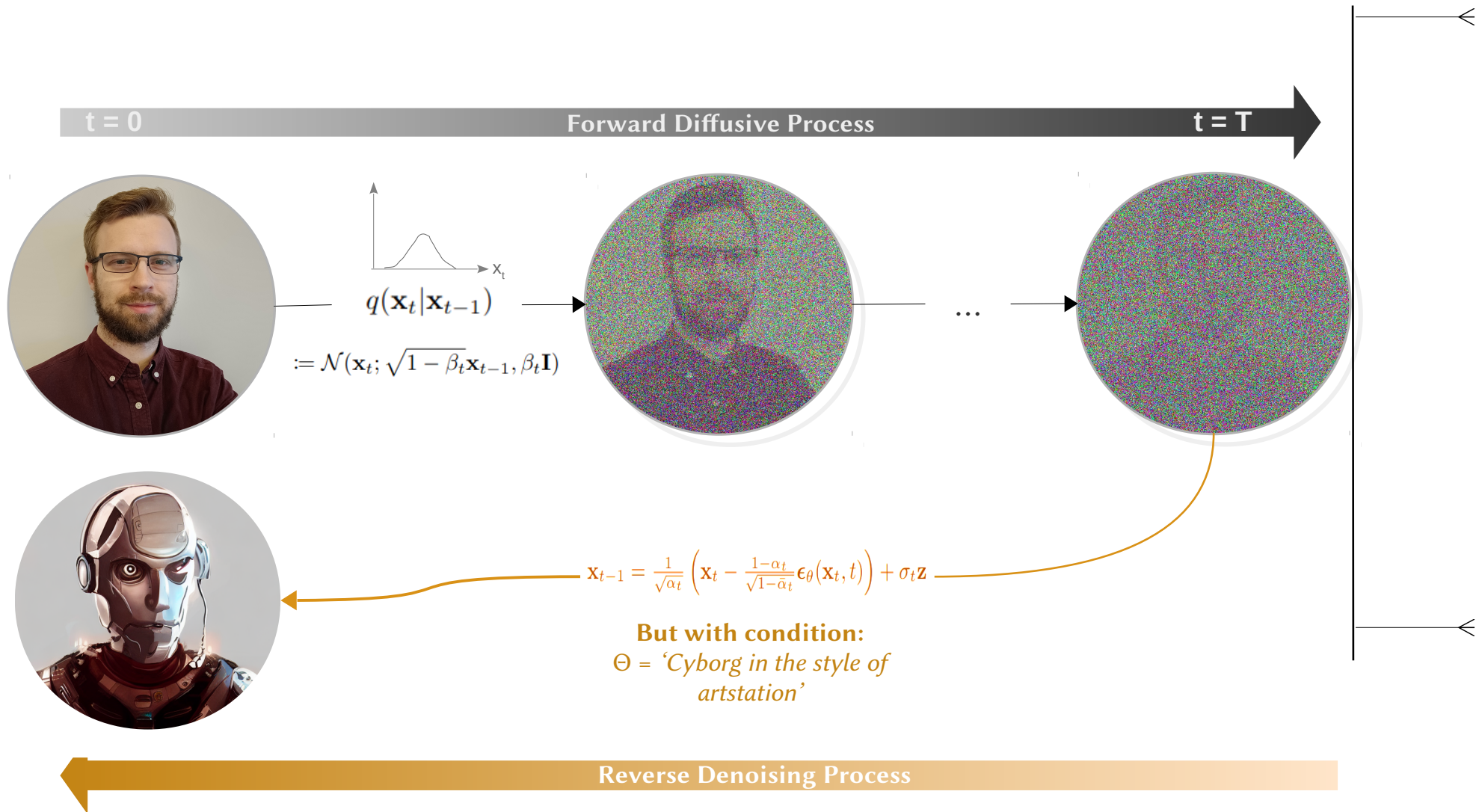
Generative DDPM



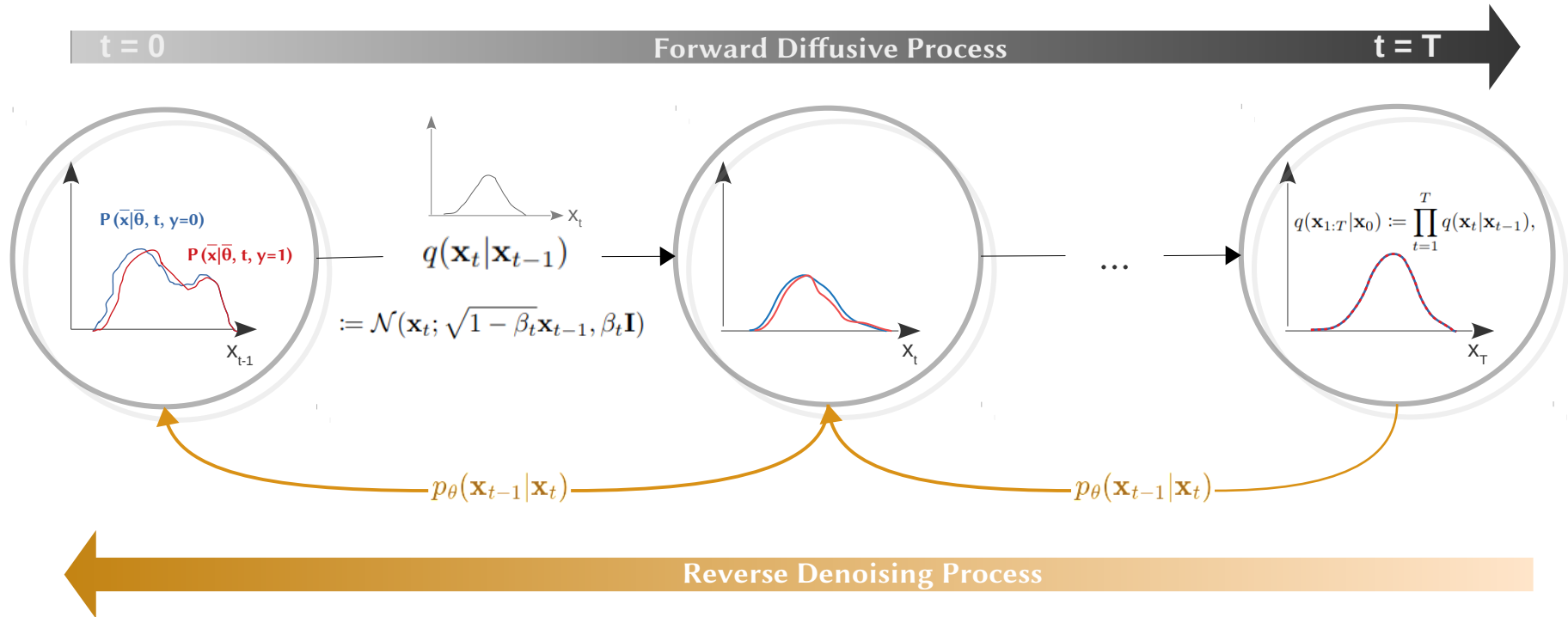
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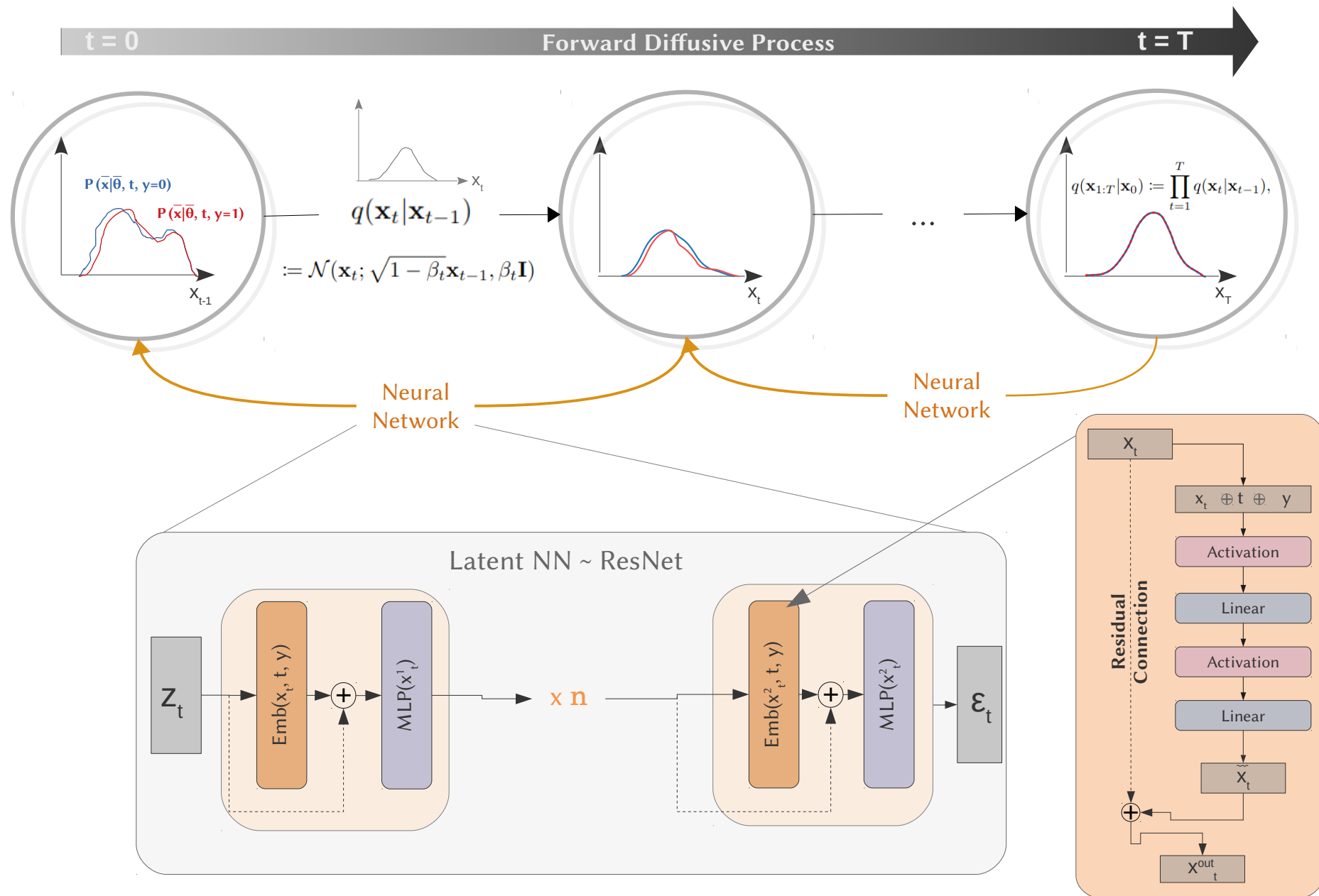
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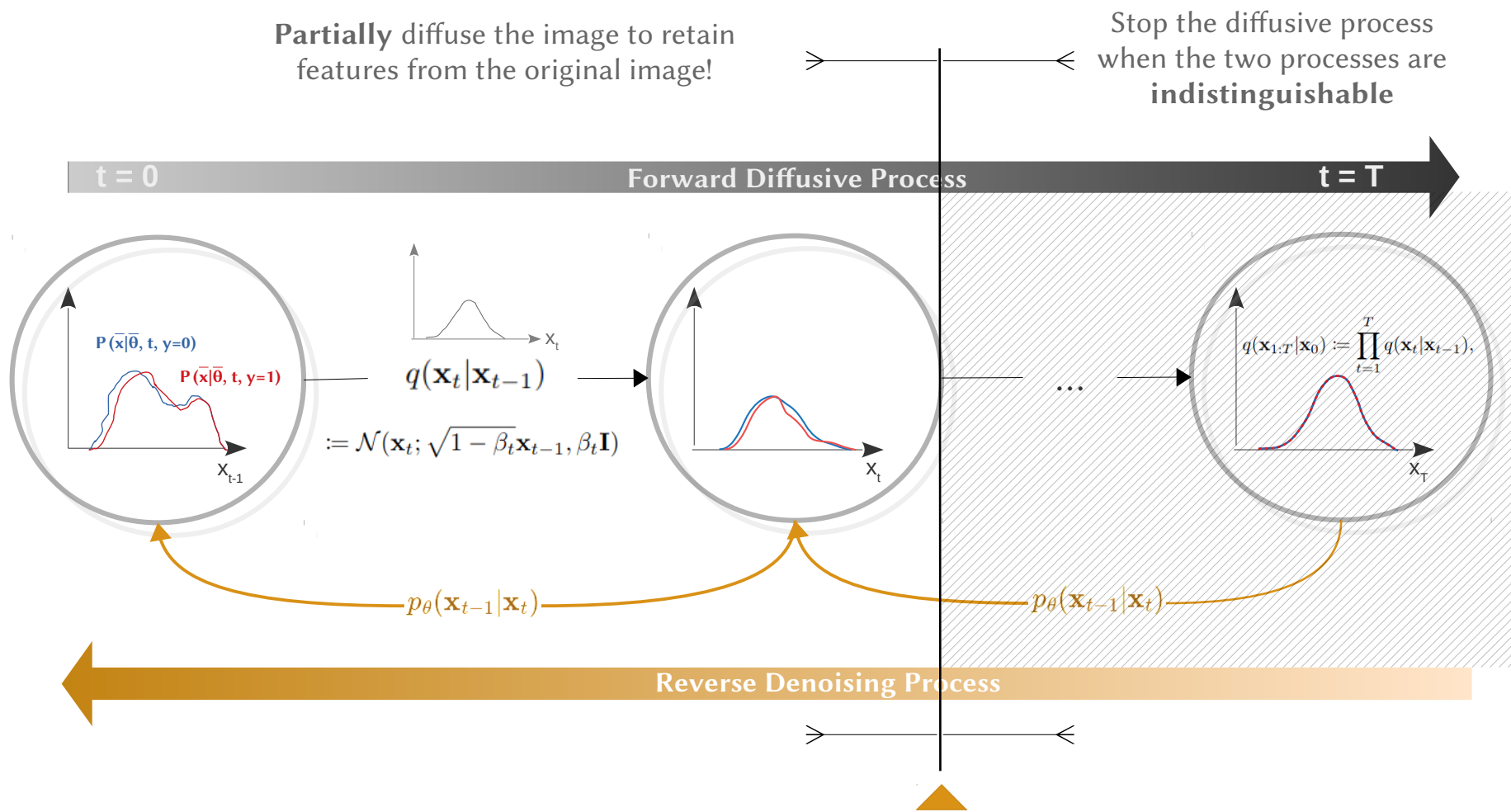
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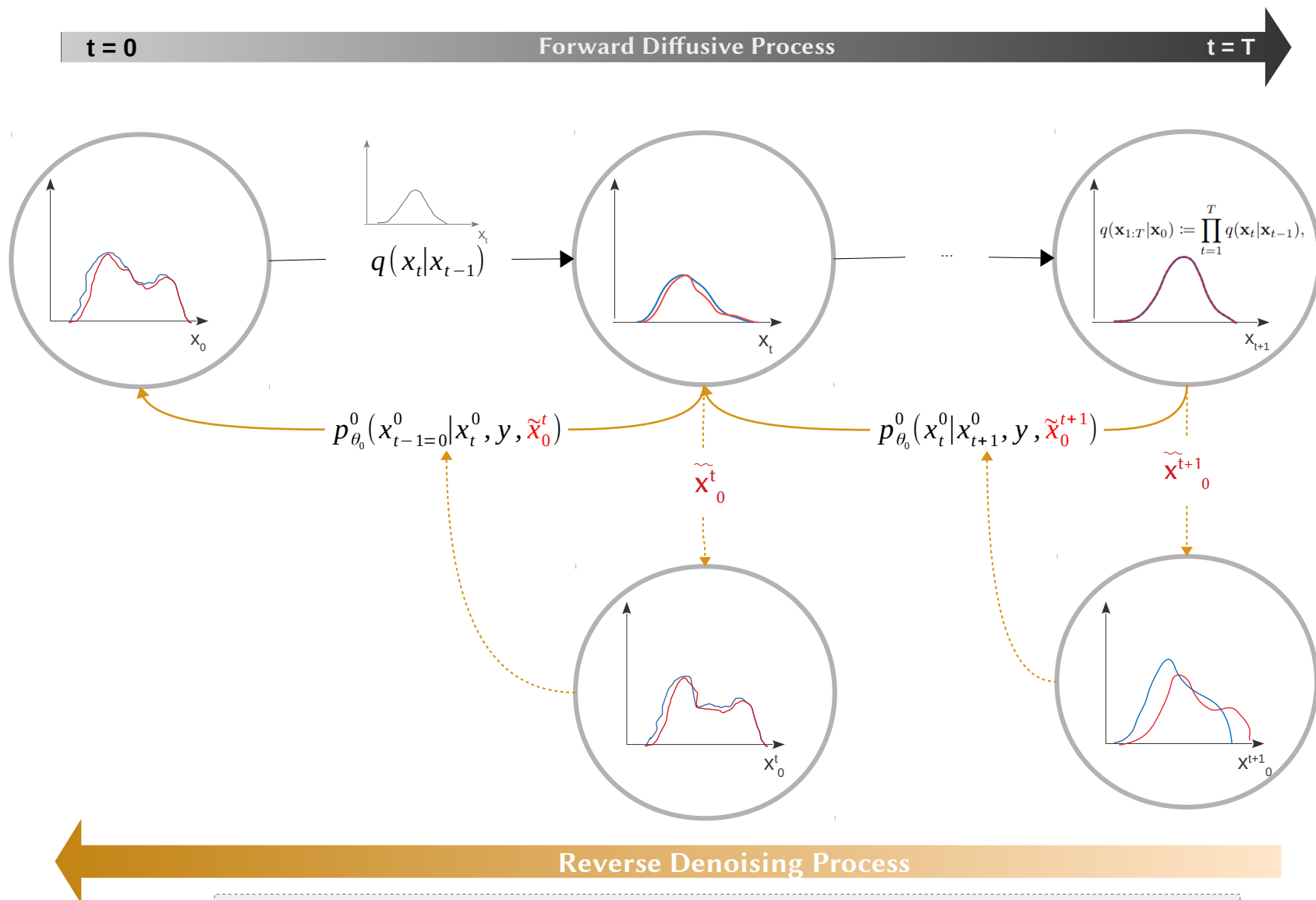
Generative DDPM



Approach 1

Train a conditional DDPM and partially diffuse a sample to a **release time t_r** . Then switch class label ($0 \rightarrow 1$) and denoise.

Self-Conditioned DDPM



Approach 2

Train a conditional DDPM with concatenated predictions of the origin \tilde{x}_0 and partially diffuse a sample to a *release time* t_r . Then switch class label ($0 \rightarrow 1$) and denoise.

JetNet Data Test

JetNet: Top -vs- W jets

Data - JetNet

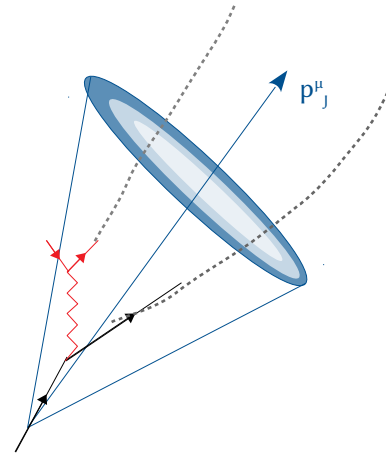
→ Test using top vs W-jets

W-jets are a sub-component of top-jets from the top-decay

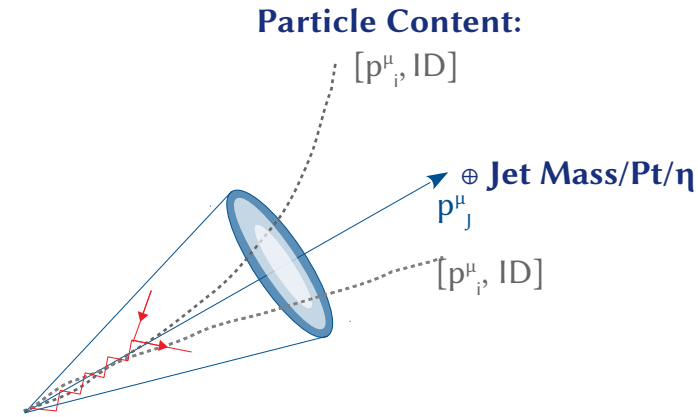
→ Implemented using JetNet
Python API - [link](#)

→ Diffusion Model input
domain defined by jet features
& b-hadrons:

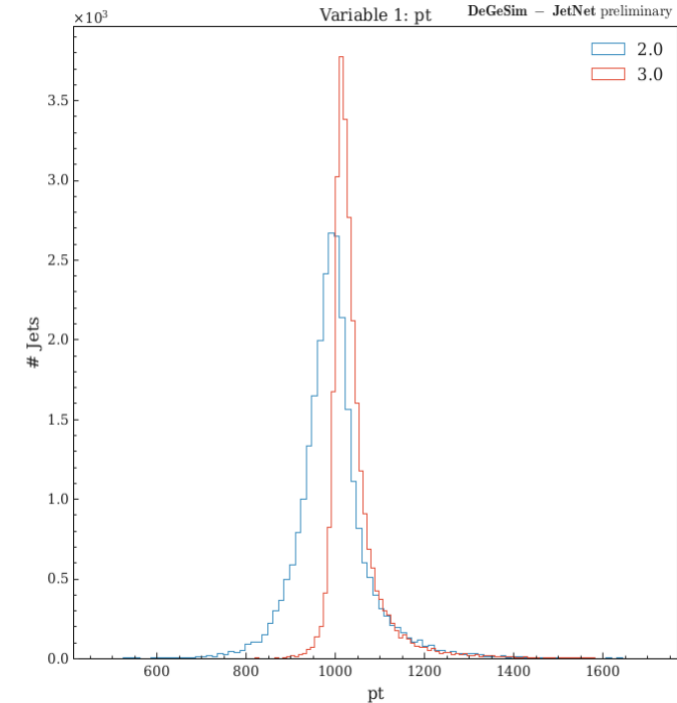
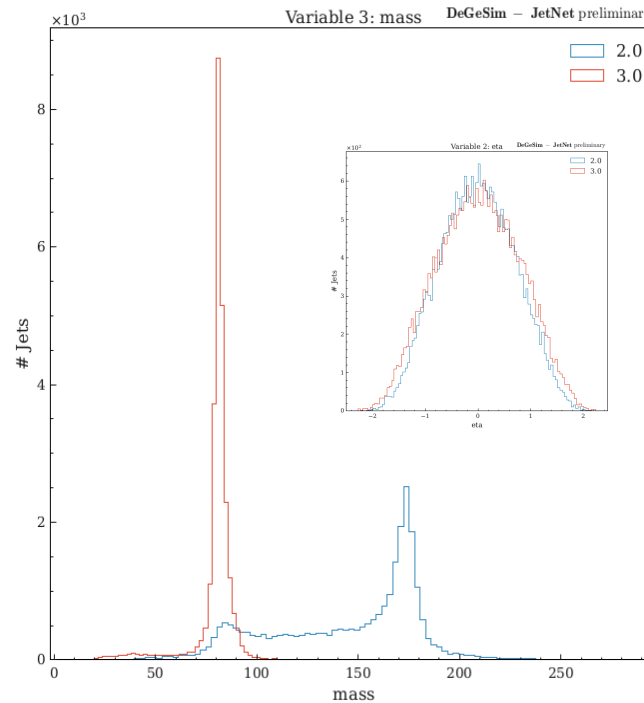
- $p_j^\mu = [p_T, \eta, m_j]$
- # of b-hadrons inside jet



Top-jets



W-jets



Results

JetNet: Top -vs- W jets

Key

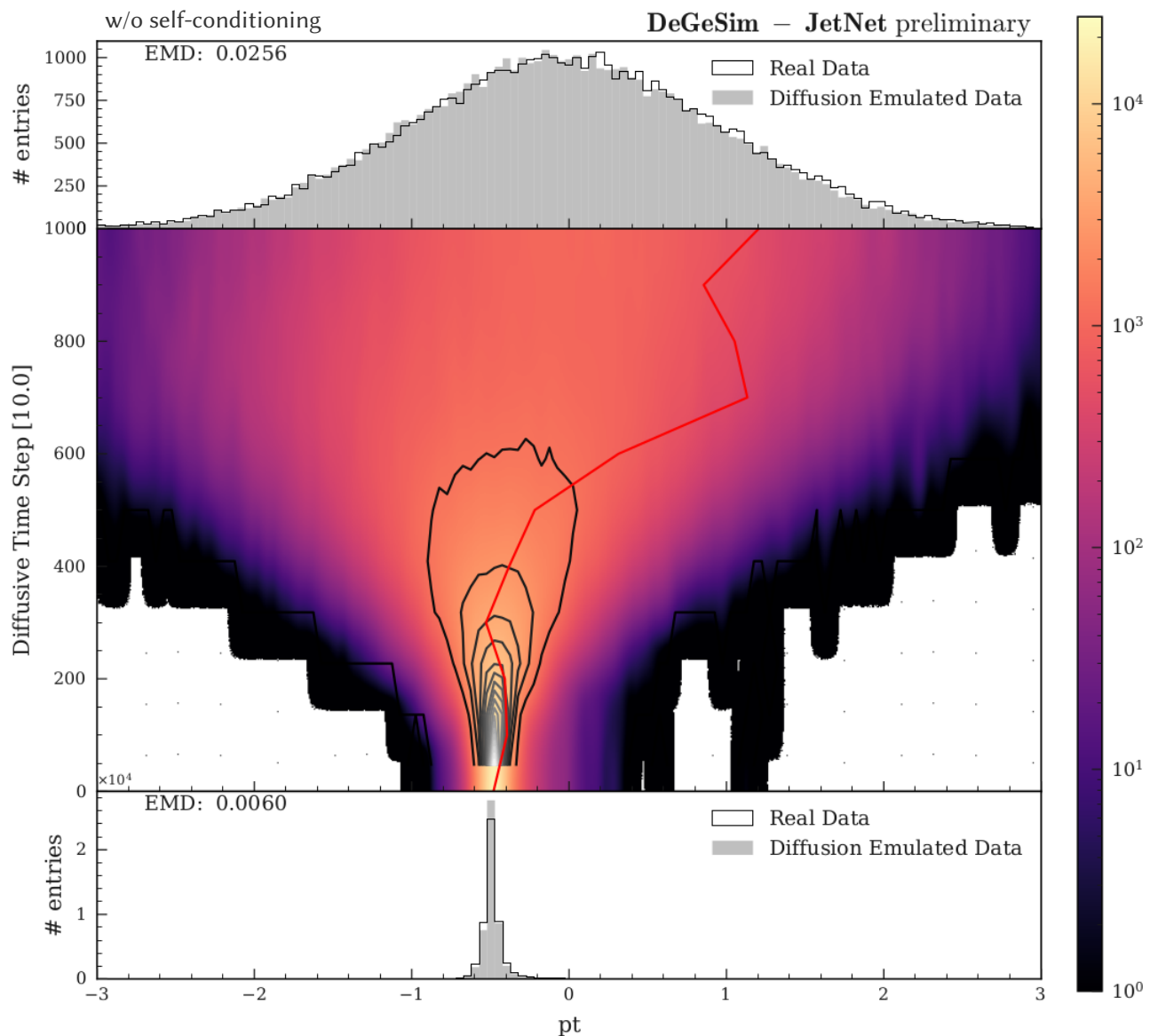
→ **Top Pane:** Gaussian emulated (Gen.) sampling with forward diffused *real data*

→ **Middle Pane:** Time evolution of emulated (generative) data $p_{\theta}(x_{t-1} | y, x_t)$ for time each 10^{th} time step:

Black contours = equal probability
Red line = random event path

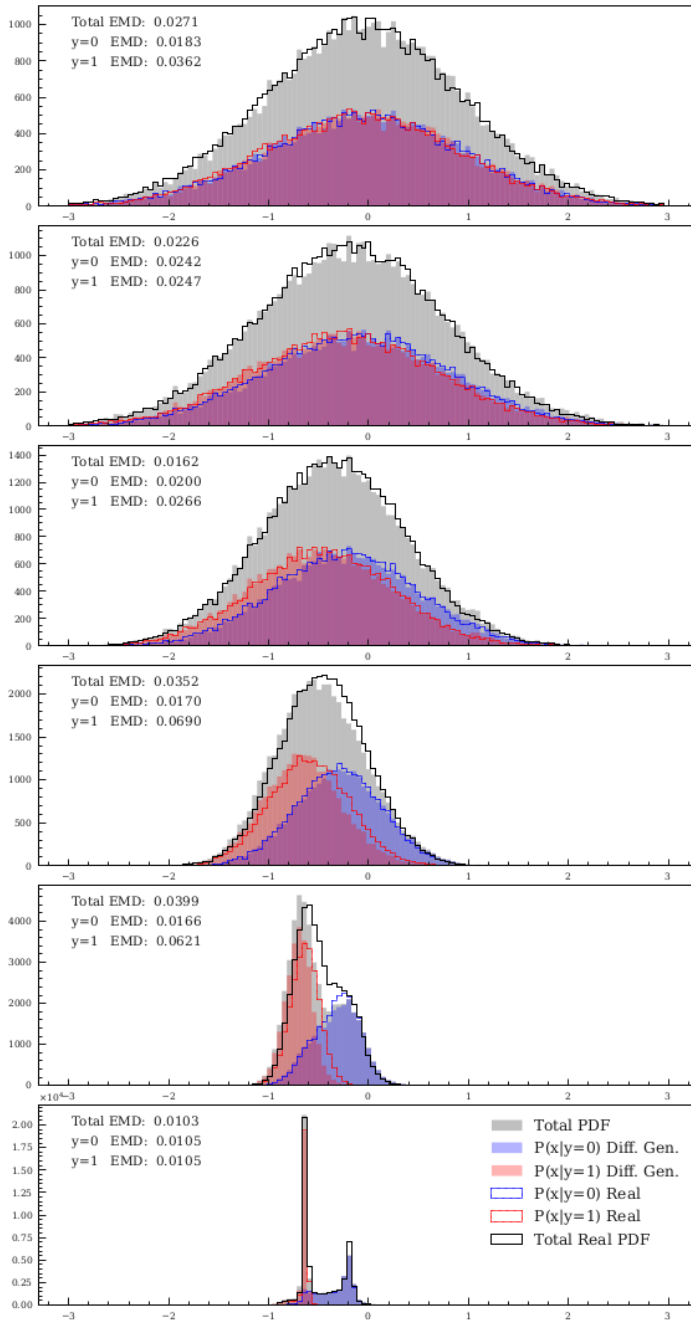
→ **Bottom Pane:** Real data vs diffusion emulated data from a gaussian prior (top pane).

→ **Metrics:** Wasserstein distance in 1D projection



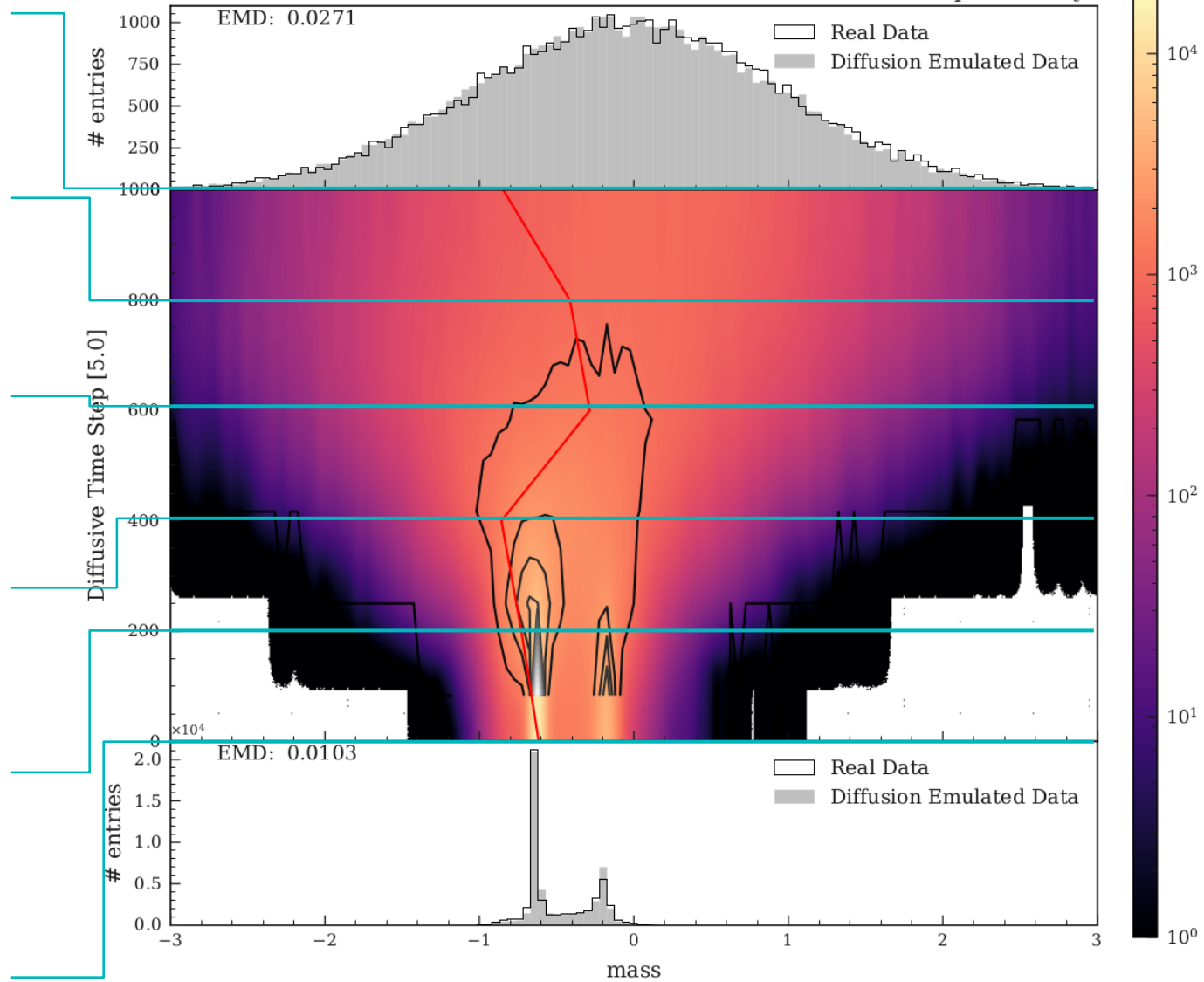
JetNet: Top -vs- W jets

DeGeSim - JetNet preliminary



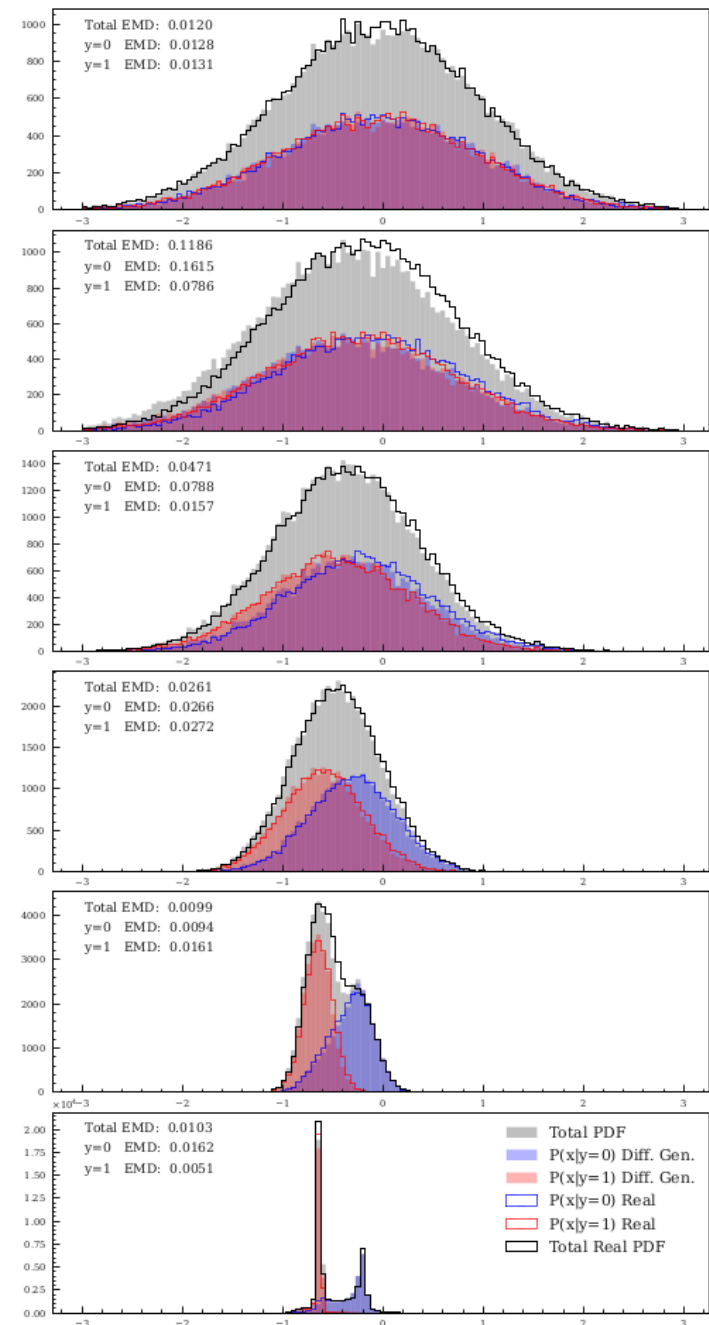
w/o self-conditioning

DeGeSim - JetNet preliminary



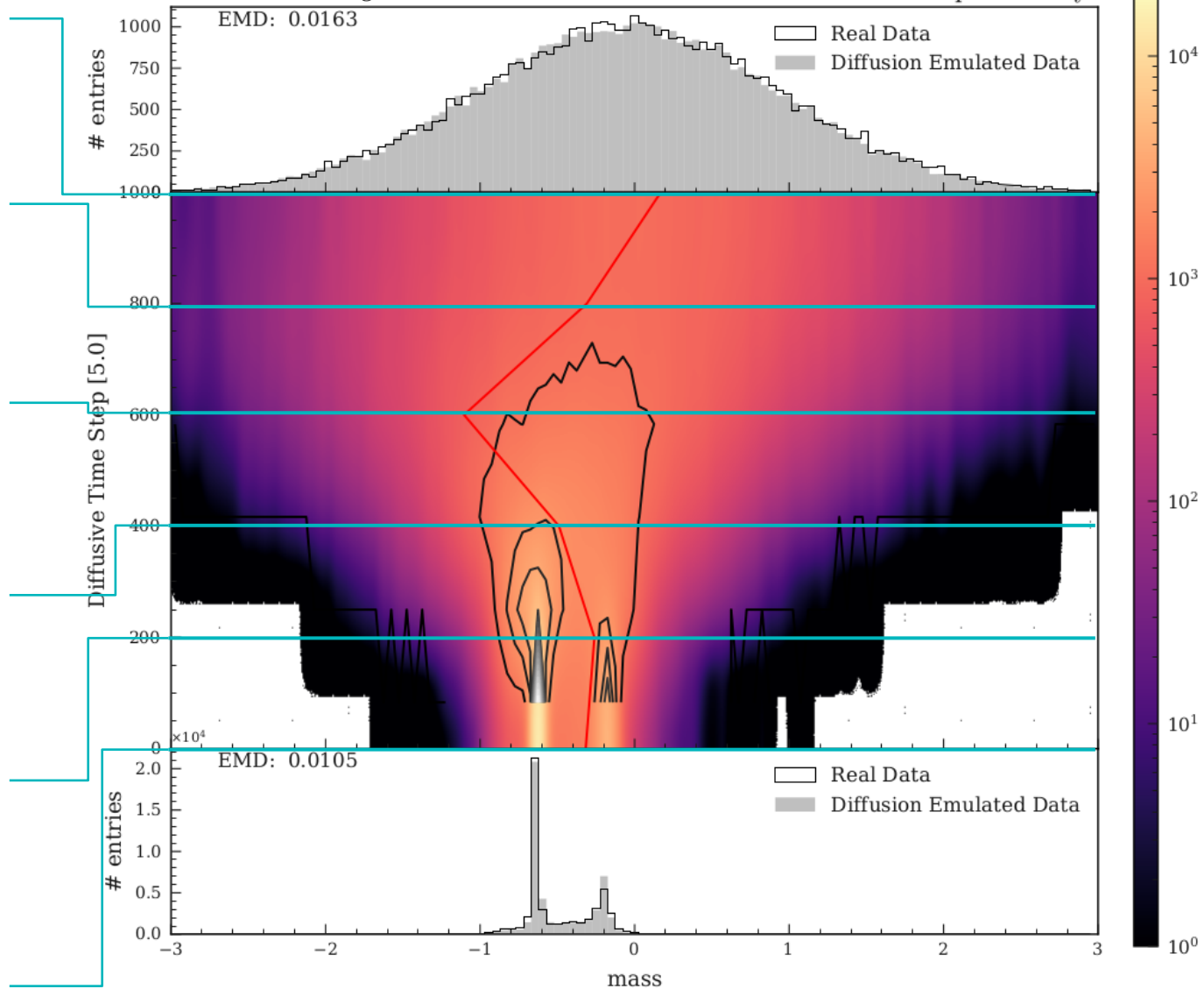
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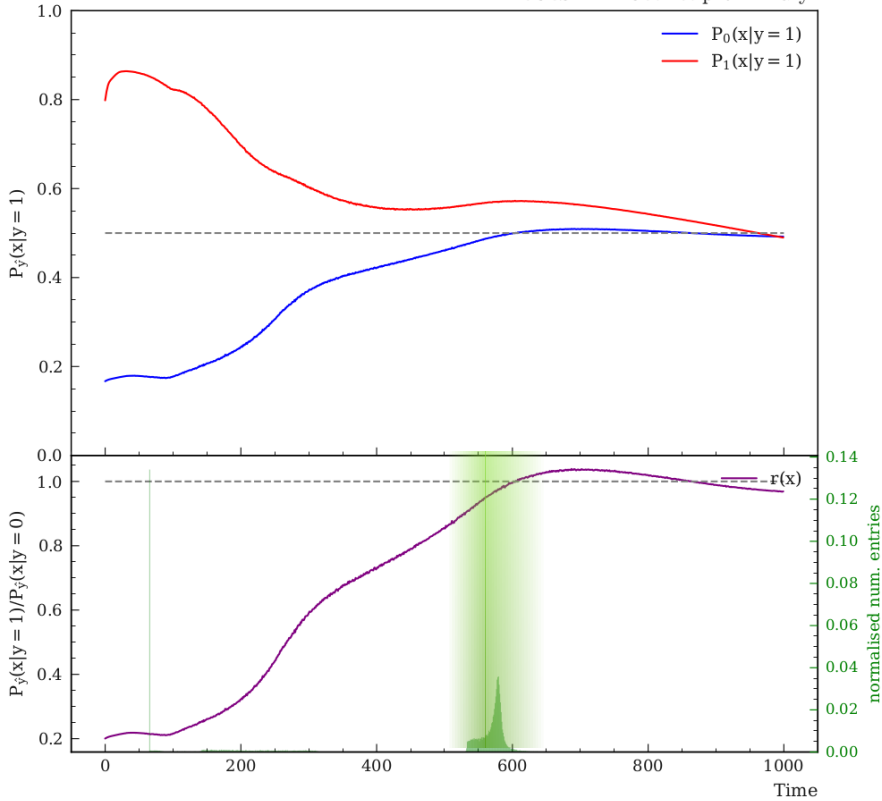
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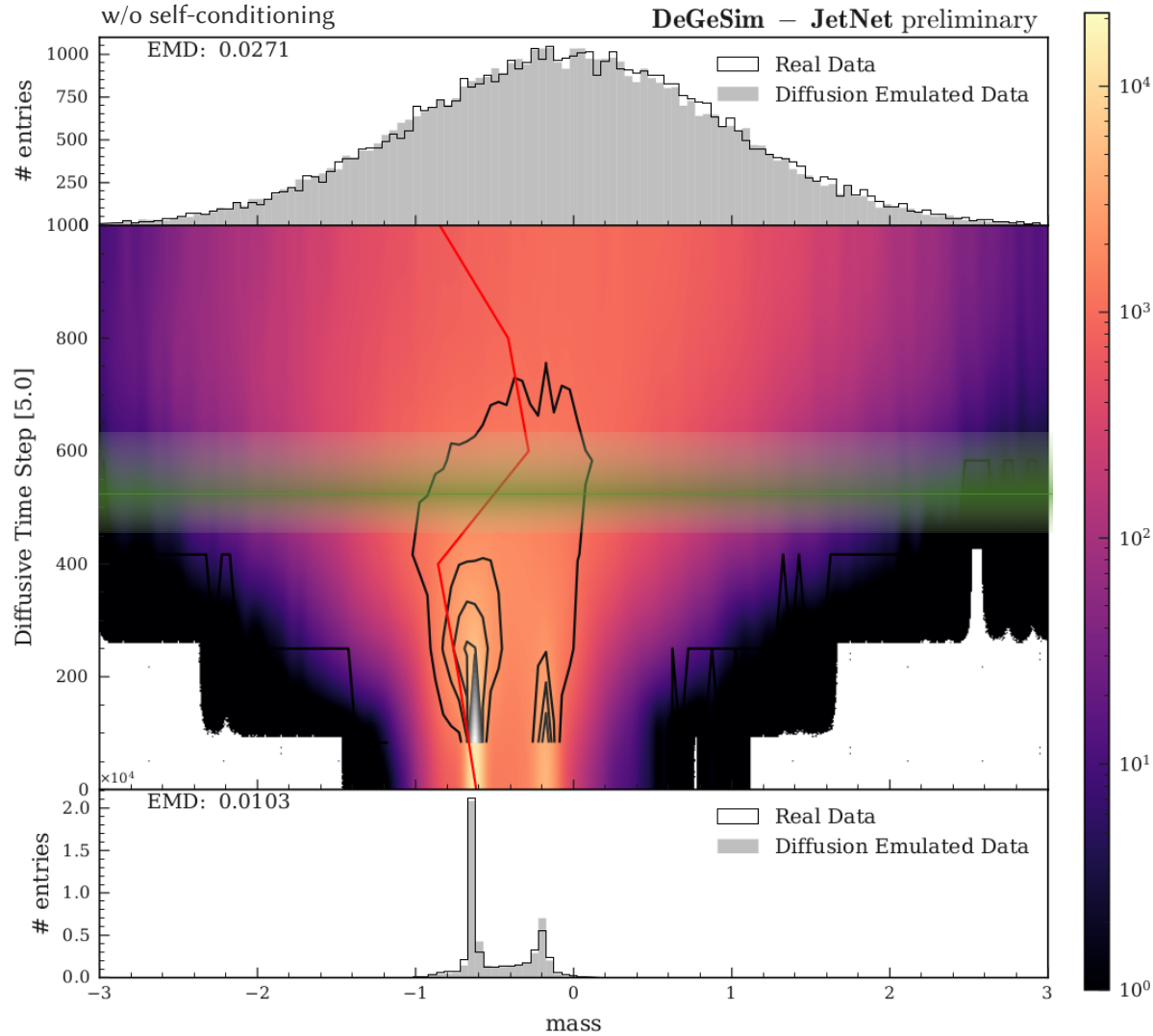


→ The classification neural network approximates the classifier $s(x)$:

$$s(x, t) = \frac{P(y=1|x, t)}{P(y=0|x, t) + P(y=1|x, t)}$$

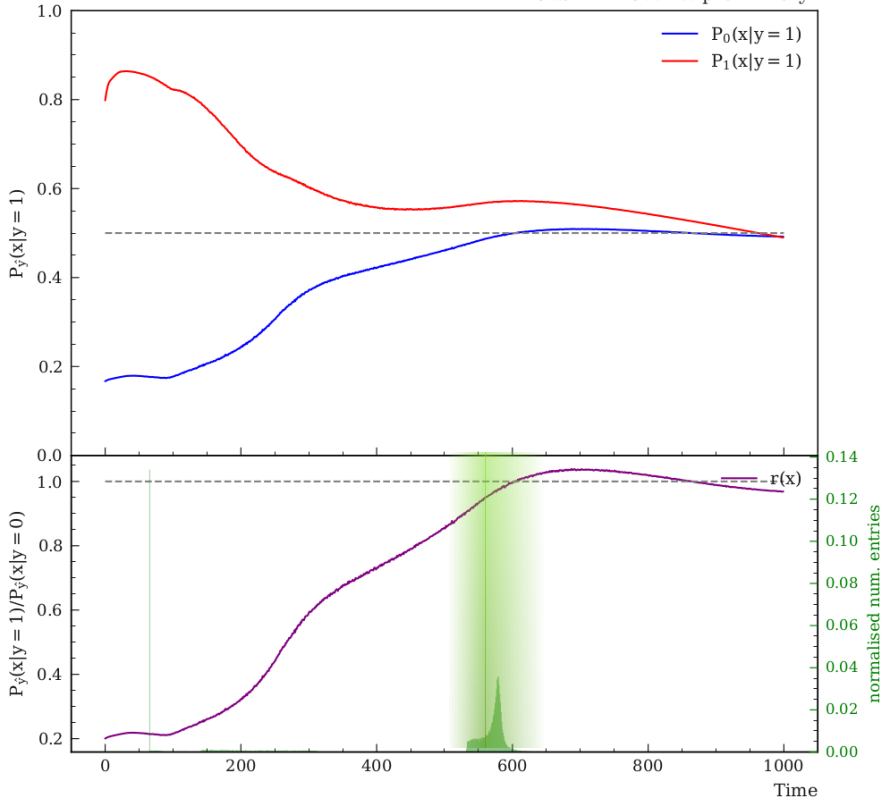
→ When the densities are equivalent we define the *release time* of each event/data point

$$r(x, t_{release}) = \frac{s(x, t_{release})}{1 - s(x, t_{release})} \approx 1$$



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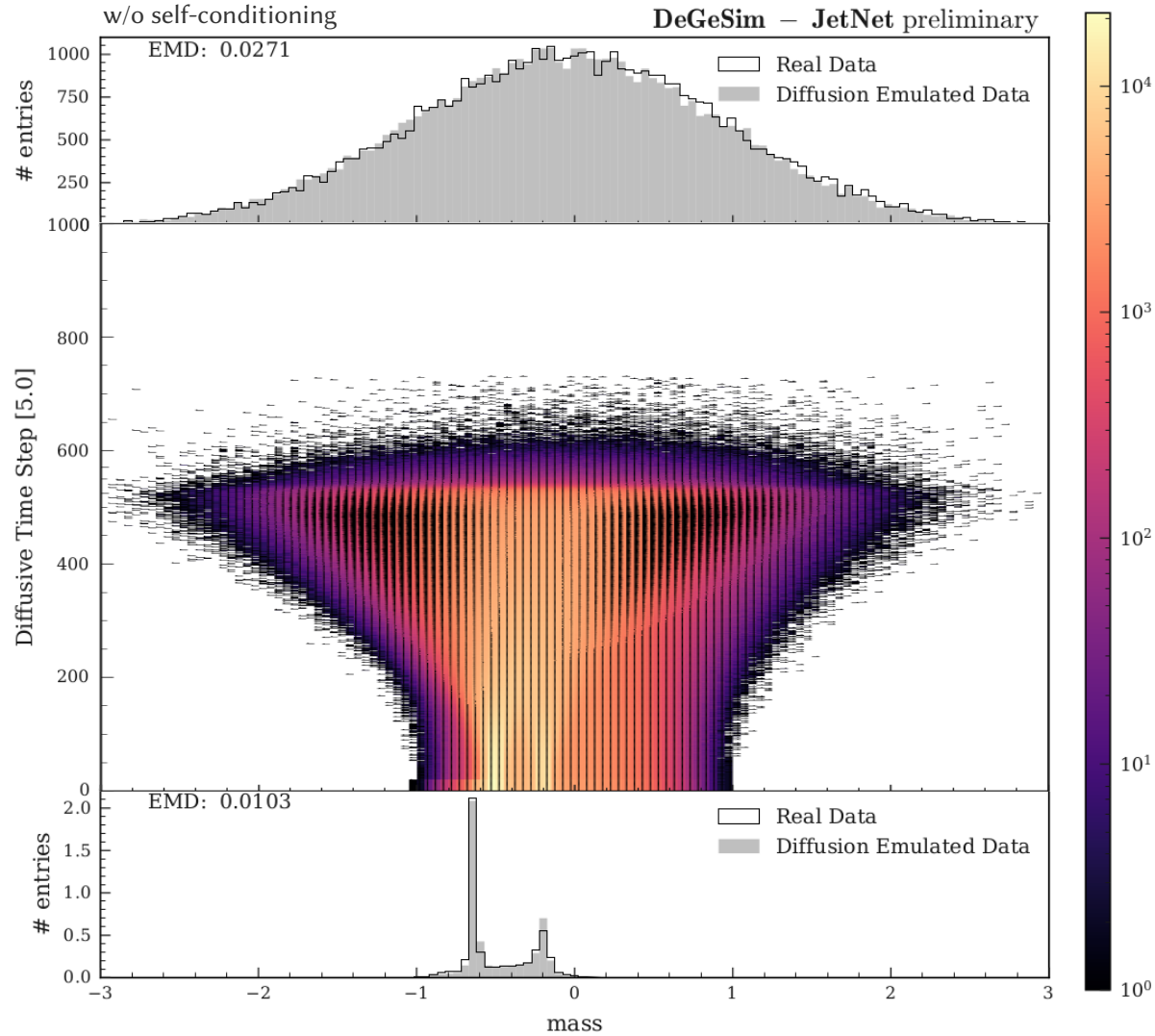


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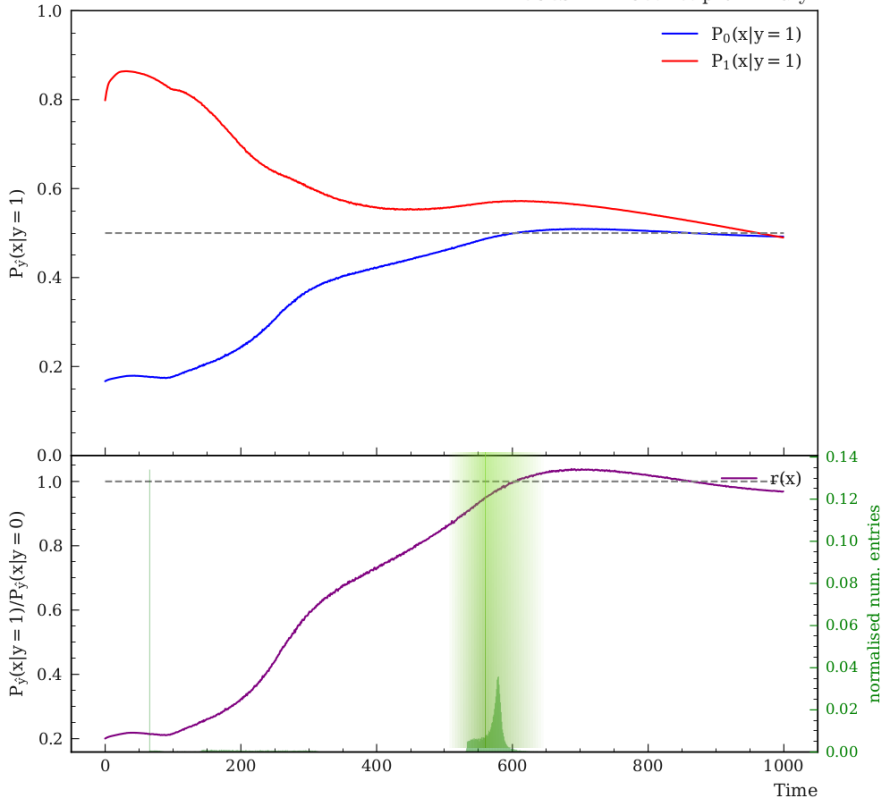
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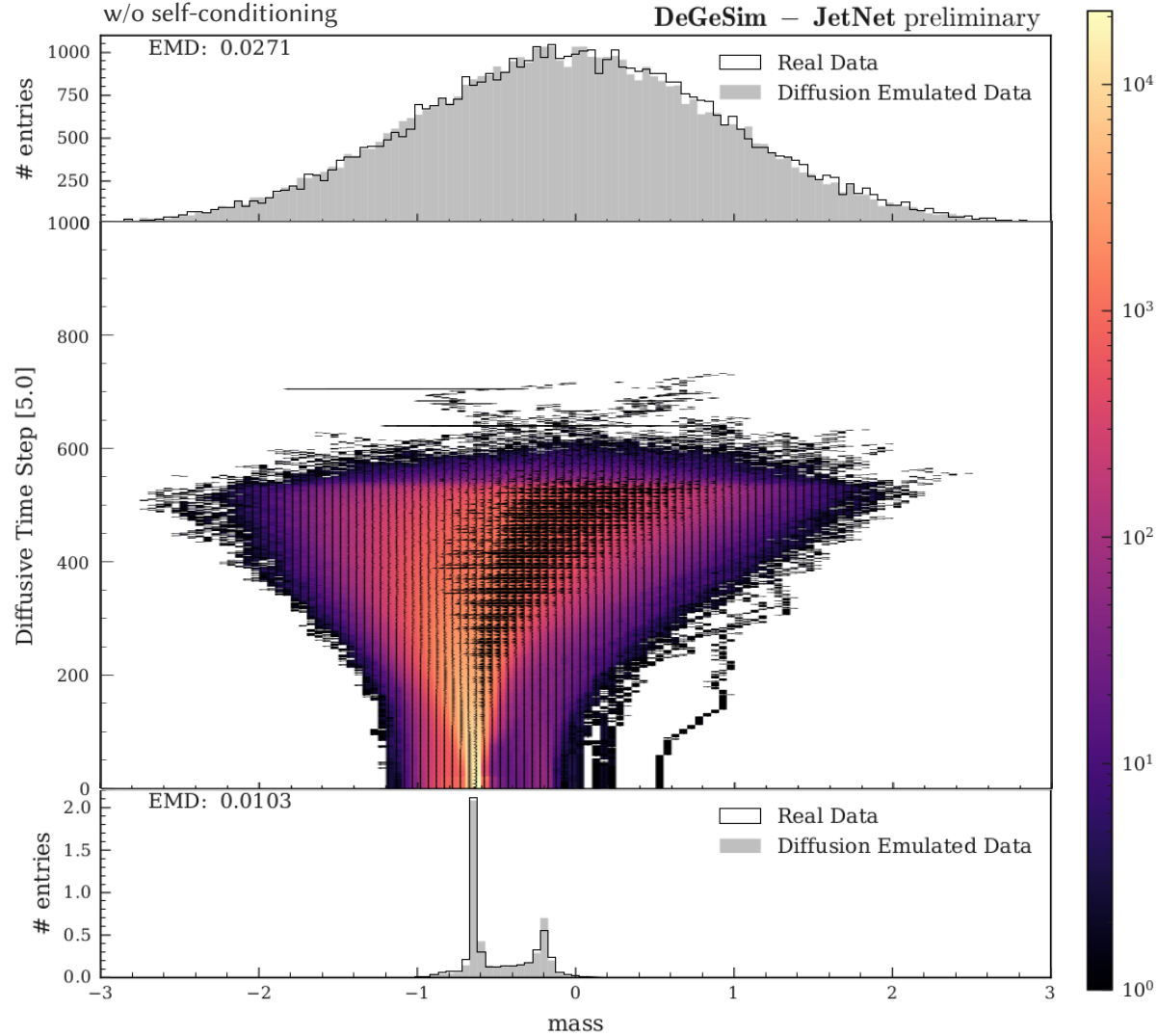


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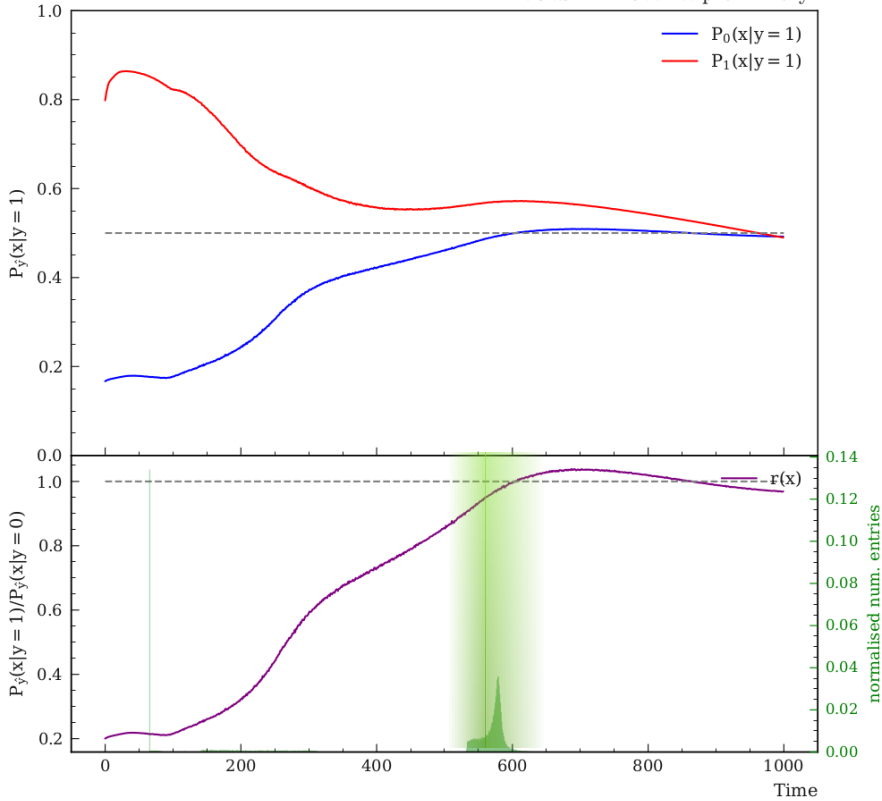
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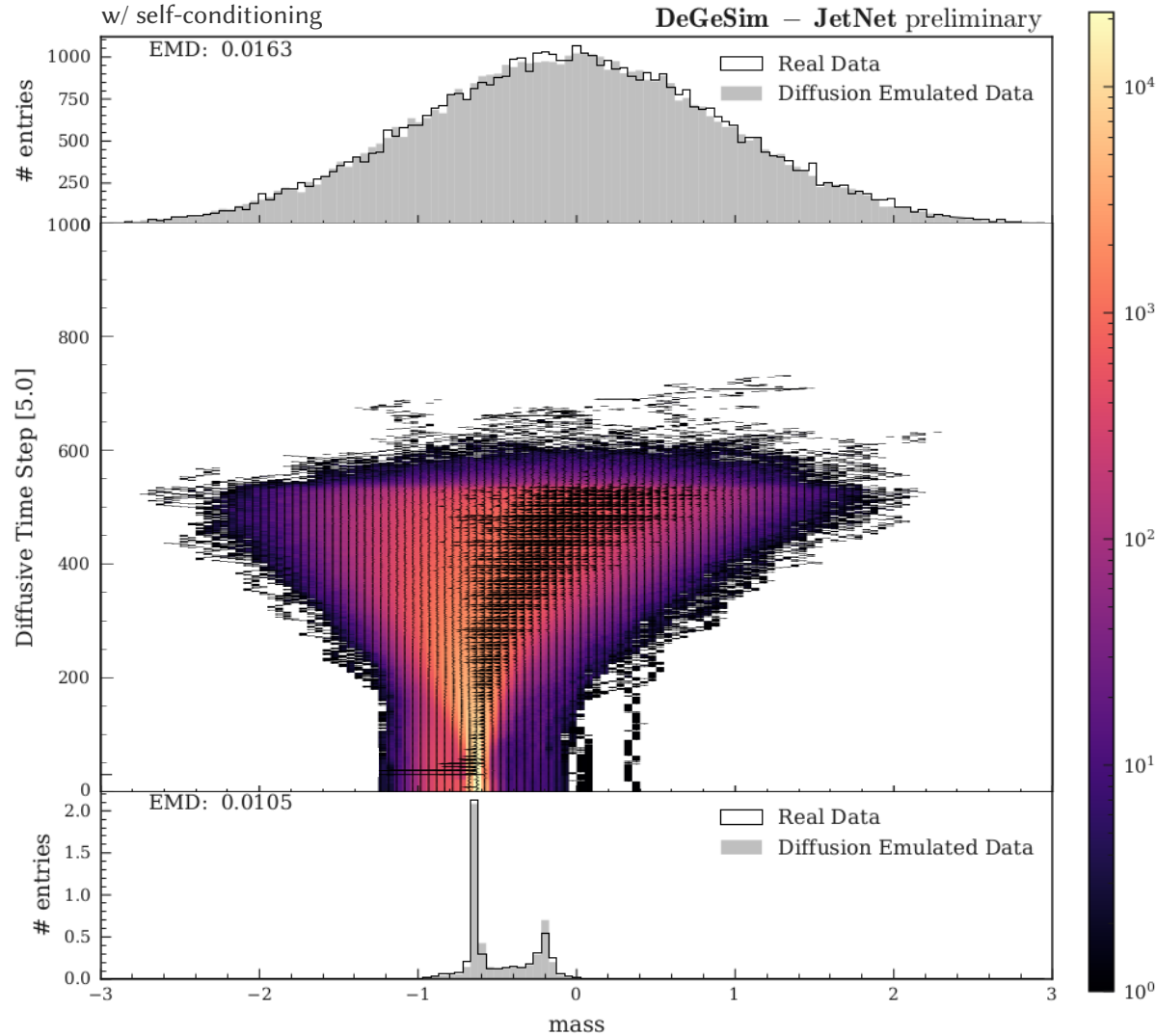


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Key

→ **Top Pane:** Real data (shaded histograms) split based on class label

$y = 0$ - Top-Jets

$y = 1$ - W-Jets

→ **Middle Pane:** Ratio to target ($y=1$)

Black = Mapped Distribution

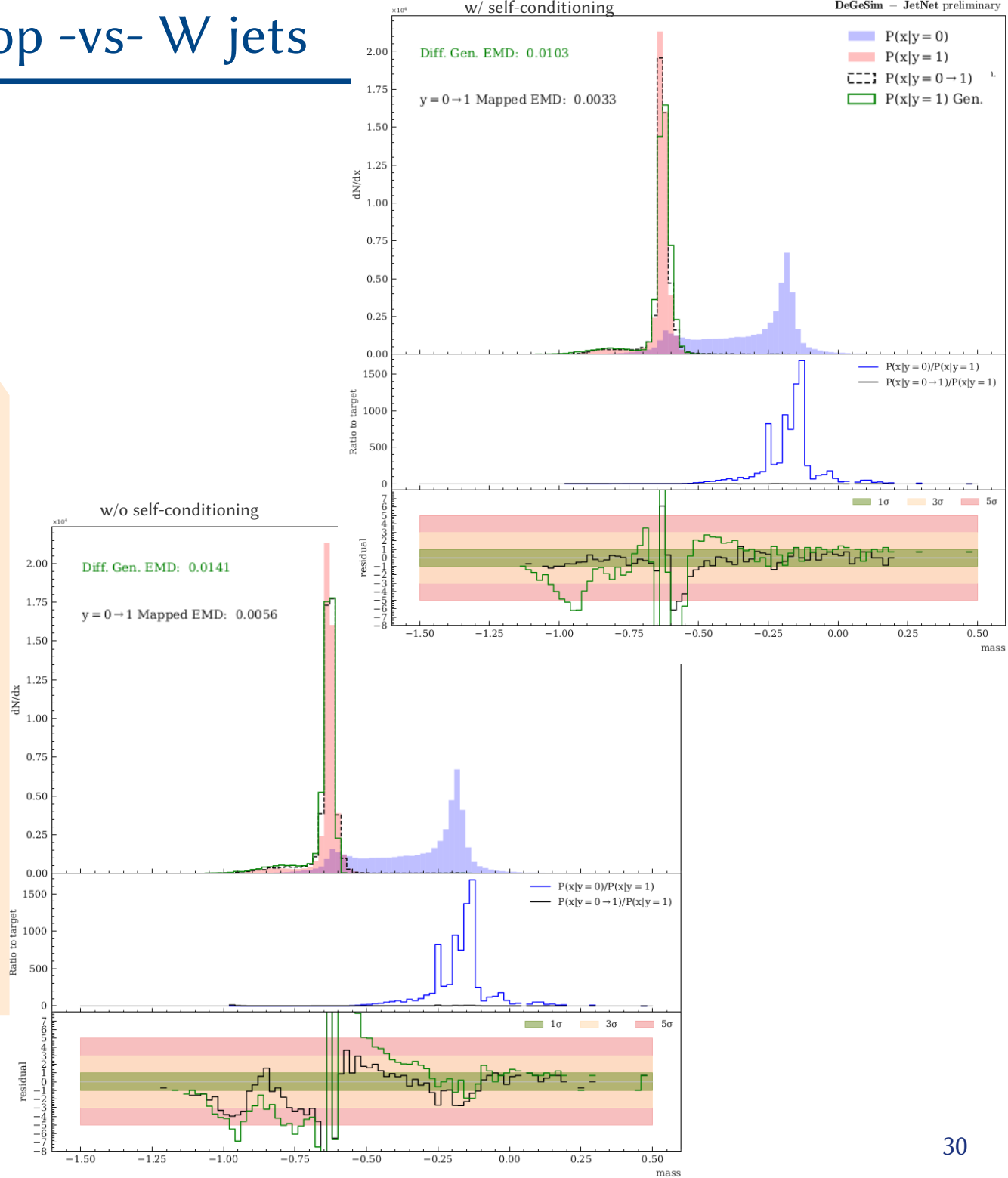
Blue = $y=0 / y=1$

→ **Bottom Pane:** Residuals to target for each component:

$$\text{Residual} = a-b / [\sigma_a^2 + \sigma_b^2]^{1/2}$$

Target is $P(x|y=1)$, i.e. W-boson jets

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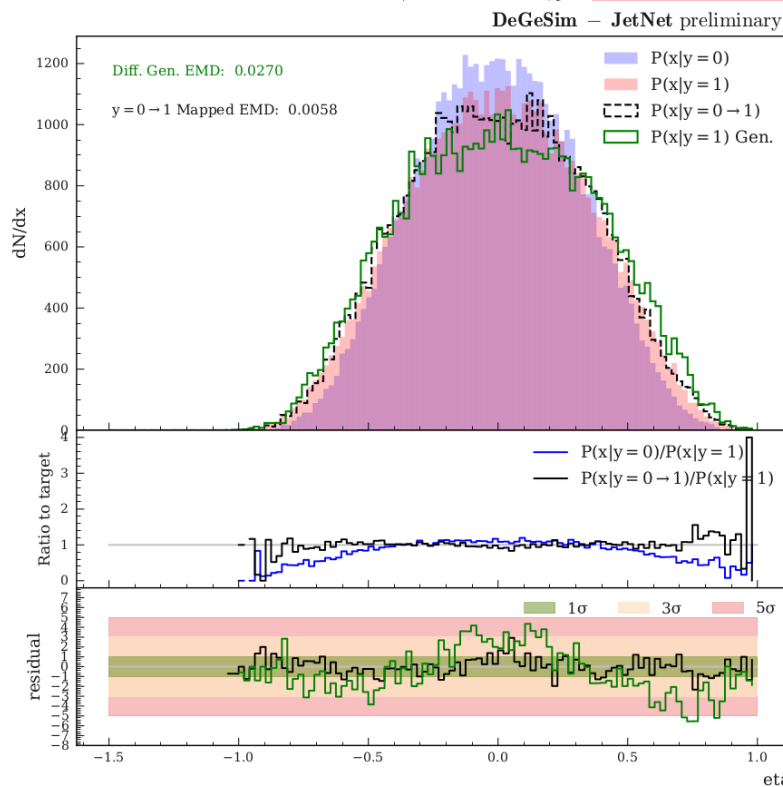
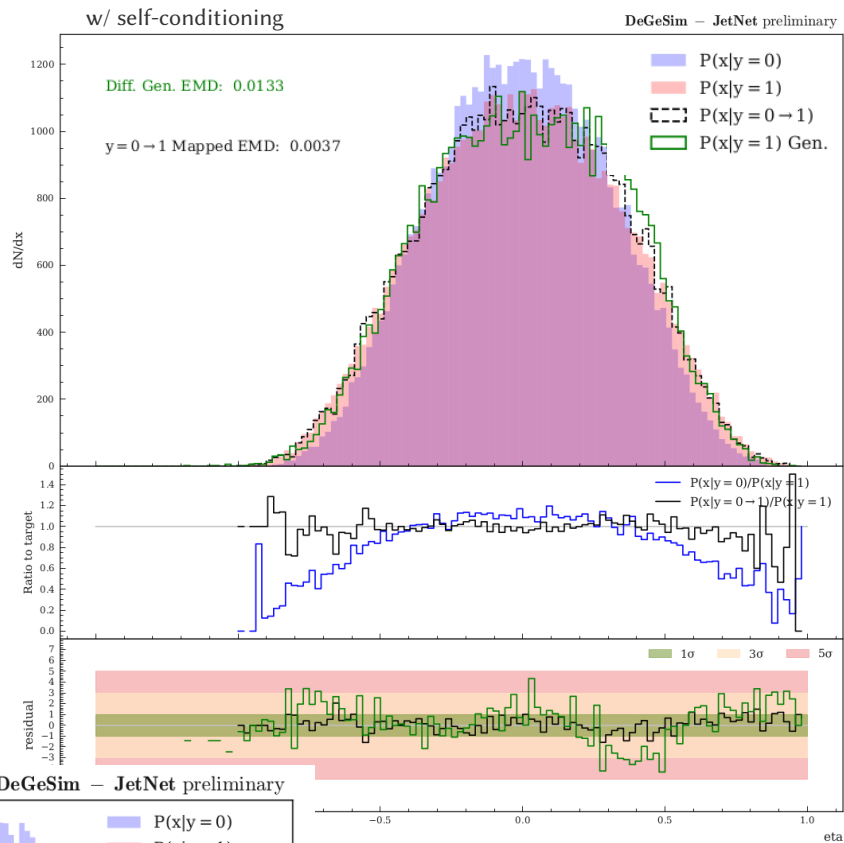
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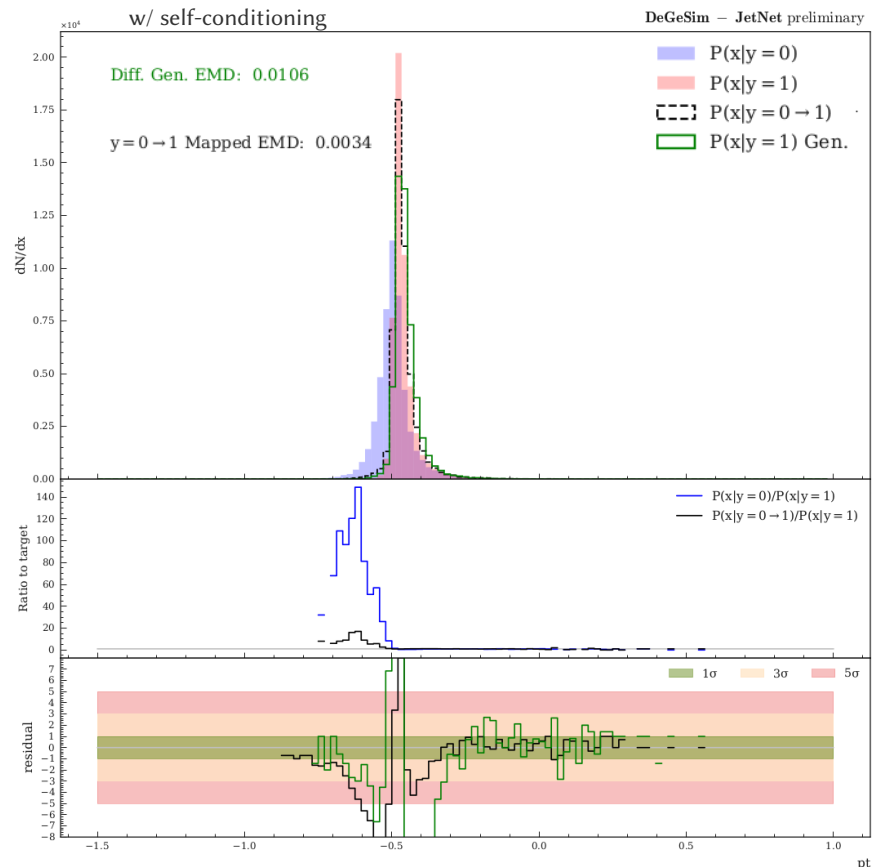
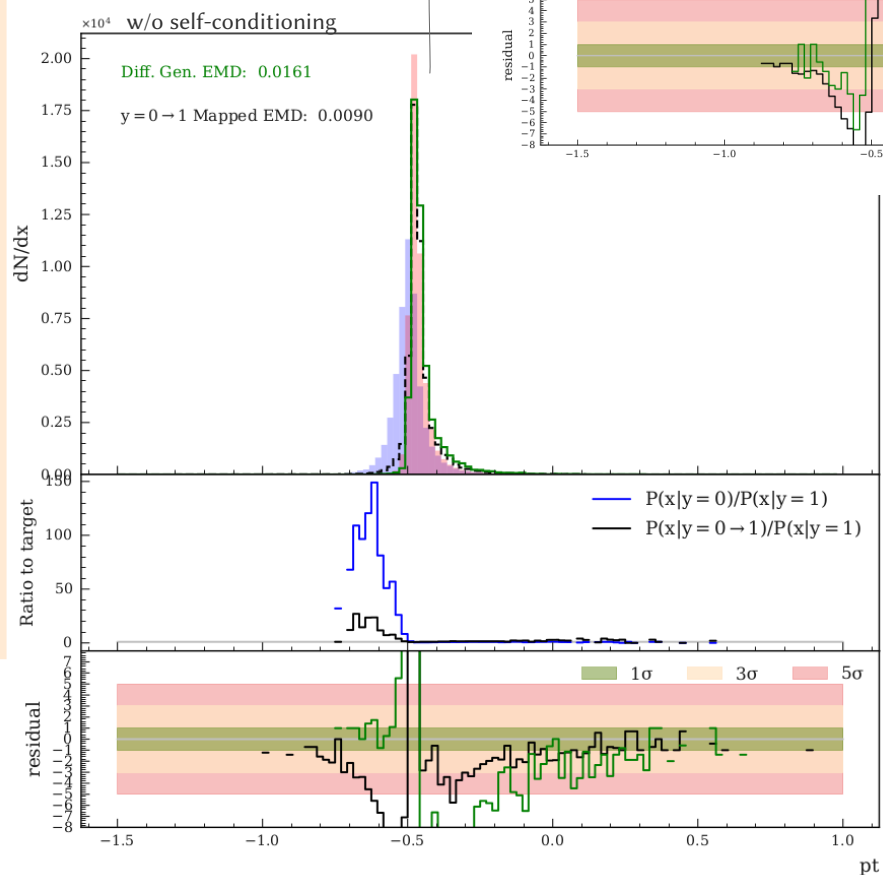
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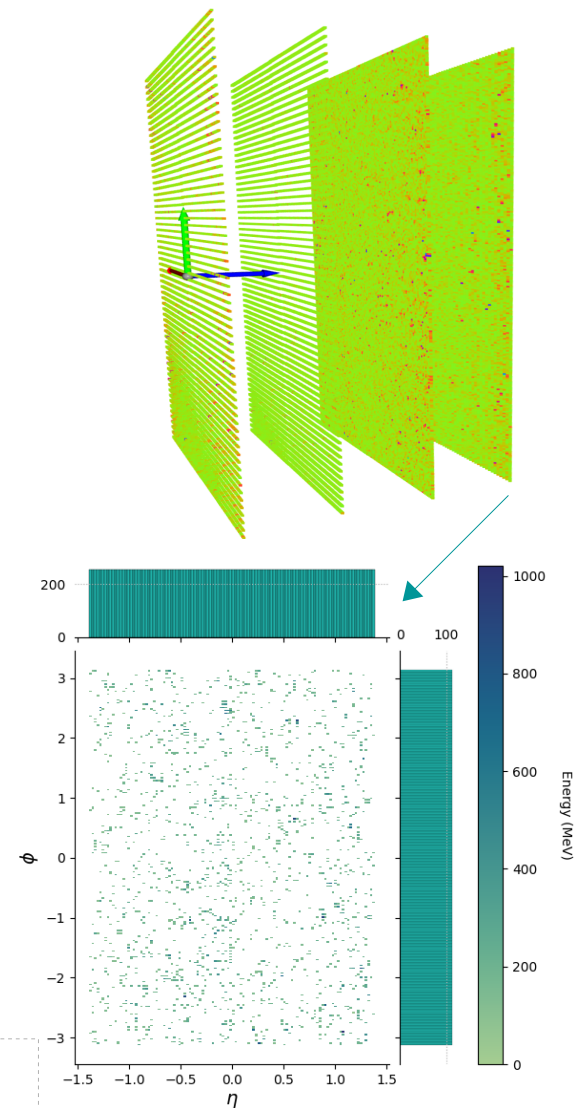
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Summary

- **Goal:** Emulate calorimeter *images* of pileup (minimum/zero bias) seeded from MC based simulations
- **Status:** Partial diffusion using self-conditioning and classifier free guidance to preserve class-specific features prior to image denoising
 - *Image-to-image (I2I) translation using partial information loss*
- **Problems:** Null value sparsity injection into calorimeter images:
 - CNNs struggle with noisy images and null-value injection
 - Point clouds introduce cell \leftrightarrow point assignment ambiguity
 - Sparse convolutional operations
- **Further work** will include:
 - Cast discrete state spaces into continuous state space for diffusion (**Analog Bits**)
 - **Cross-domain** conditioning to enhance domain translation during diffusion



CONTINUOUS & DISCRETE STATE SPACE SAFE CONDITIONAL
DENOISING DIFFUSION PROBABILISTIC MODELS USING SELF &
CROSS-DOMAIN CONDITIONING FOR MULTI-DIMENSIONAL
MAPPING

A PREPRINT

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Judith Katzy

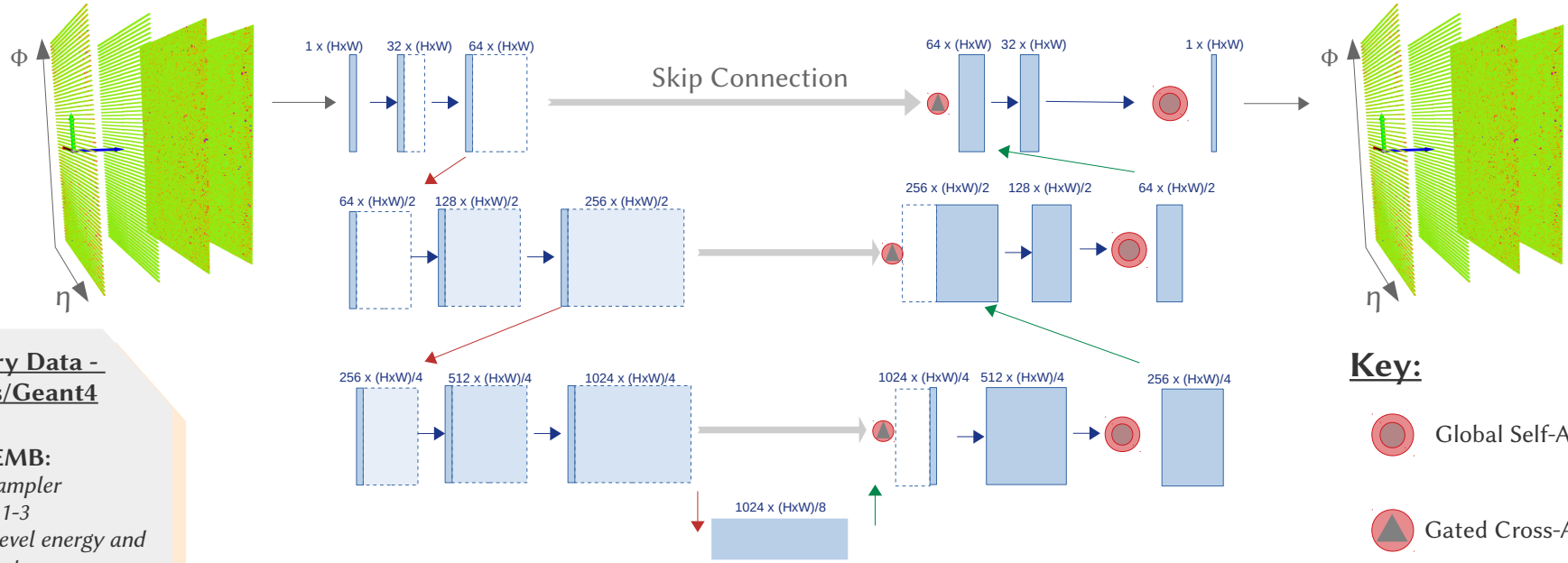
Deutsches Elektronen Synchrotron (DESY)
Notkestraße 85
D-22607, Hamburg
Germany
judith.katzy@desy.de

Backup



Neural Network Architecture

Latent DDPM



Calorimetry Data - Delphes/Geant4

→ ATLAS EMB:

- Pre-sampler
- EMB1-3
- Cell level energy and geometry

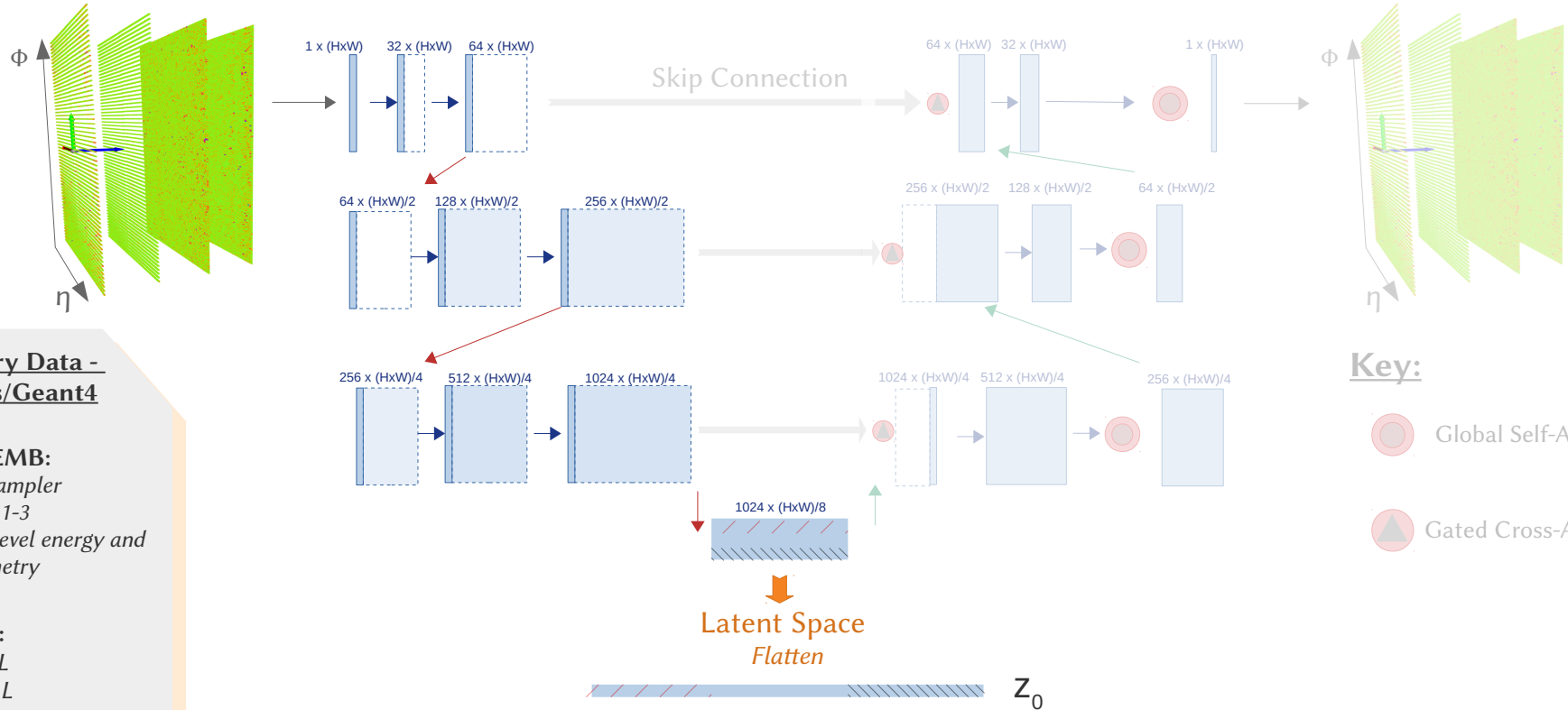
→ Delphes:

- ECAL
- HCAL

Key:

- Global Self-Attention
- Gated Cross-Attention

Latent DDPM



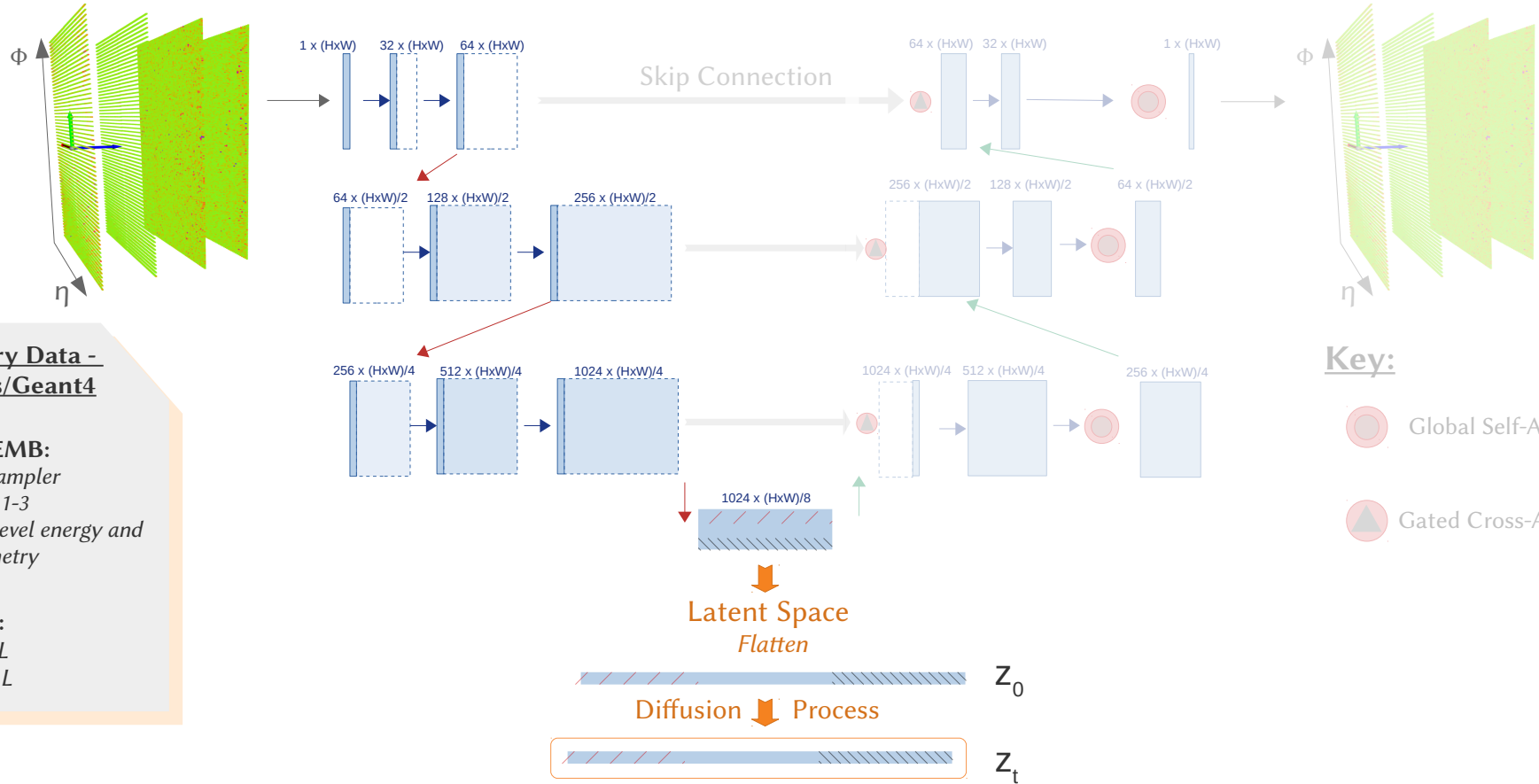
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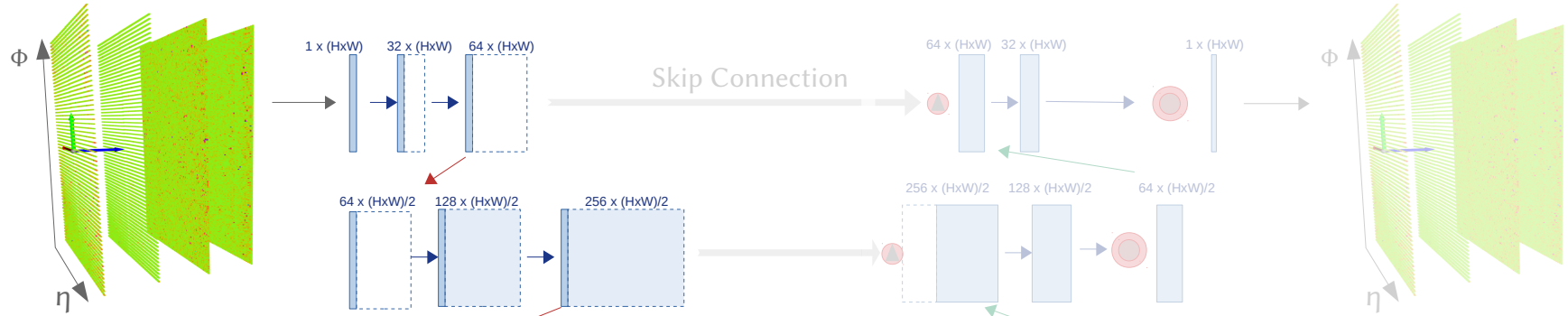
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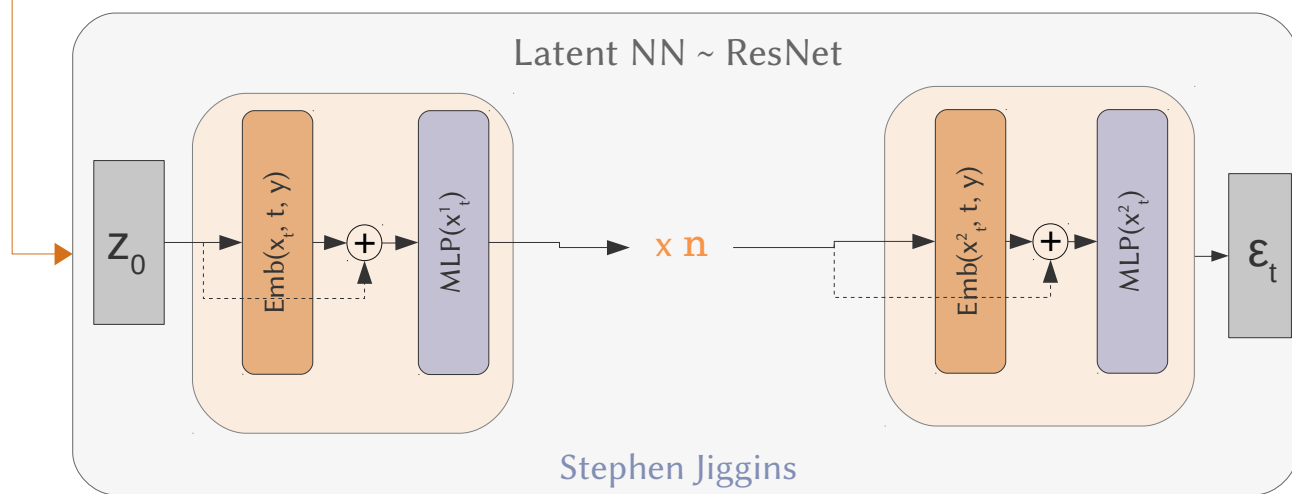
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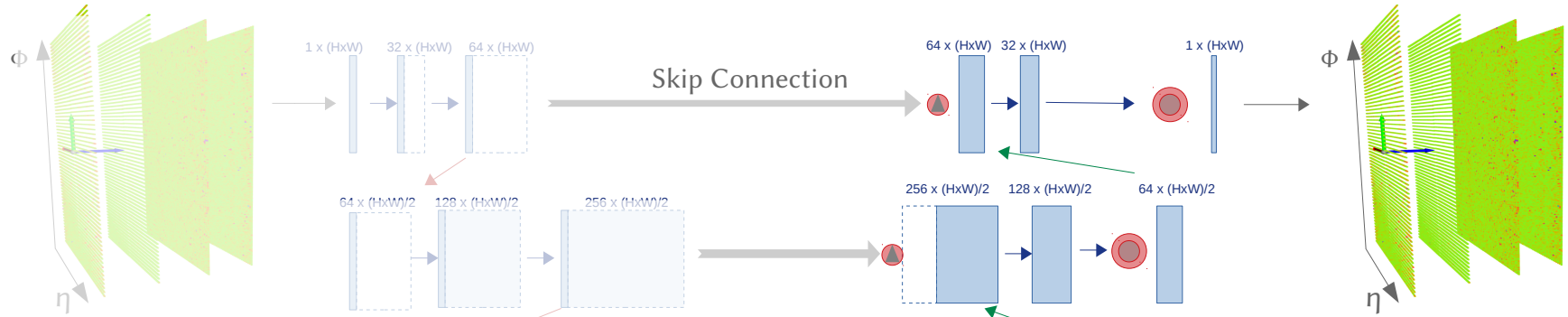
Latent Space
Flatten



Diffusion Process



Latent DDPM



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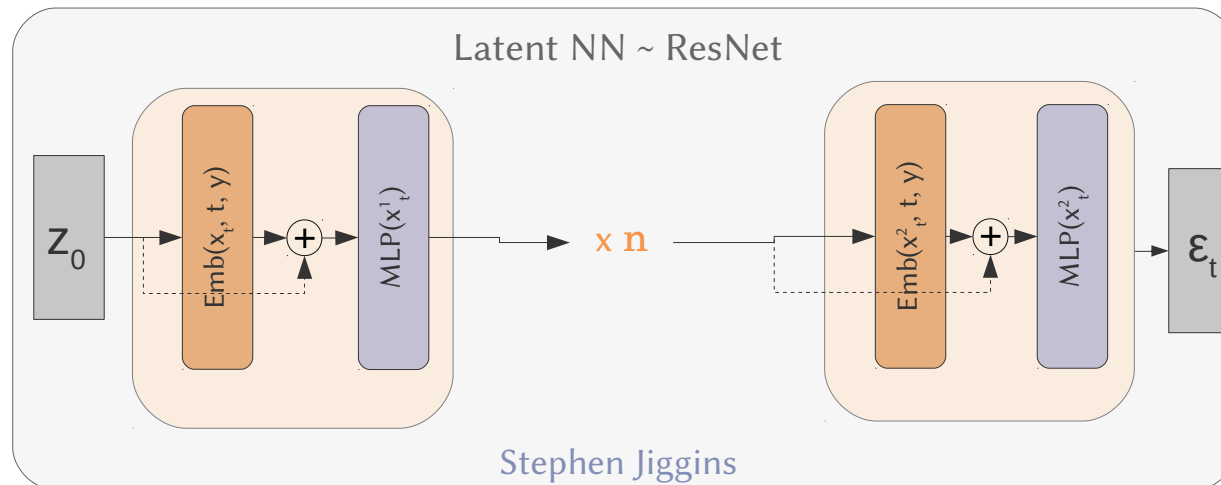
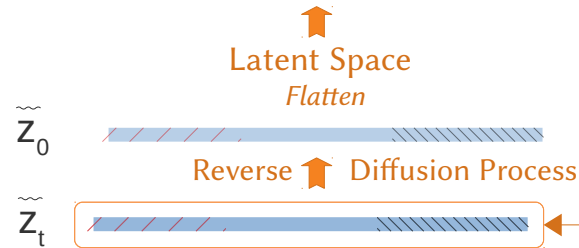
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→ Delphes:

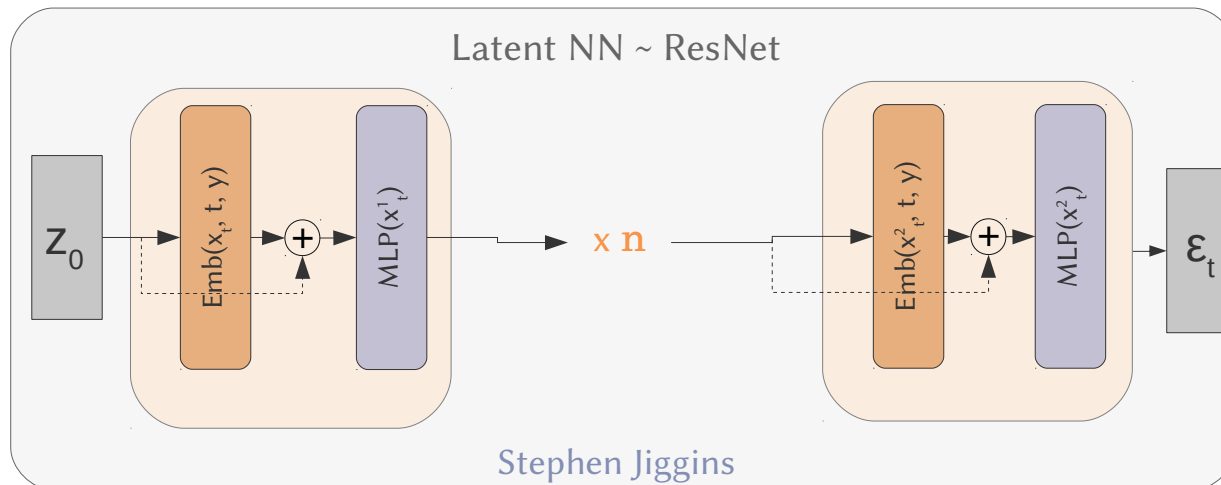
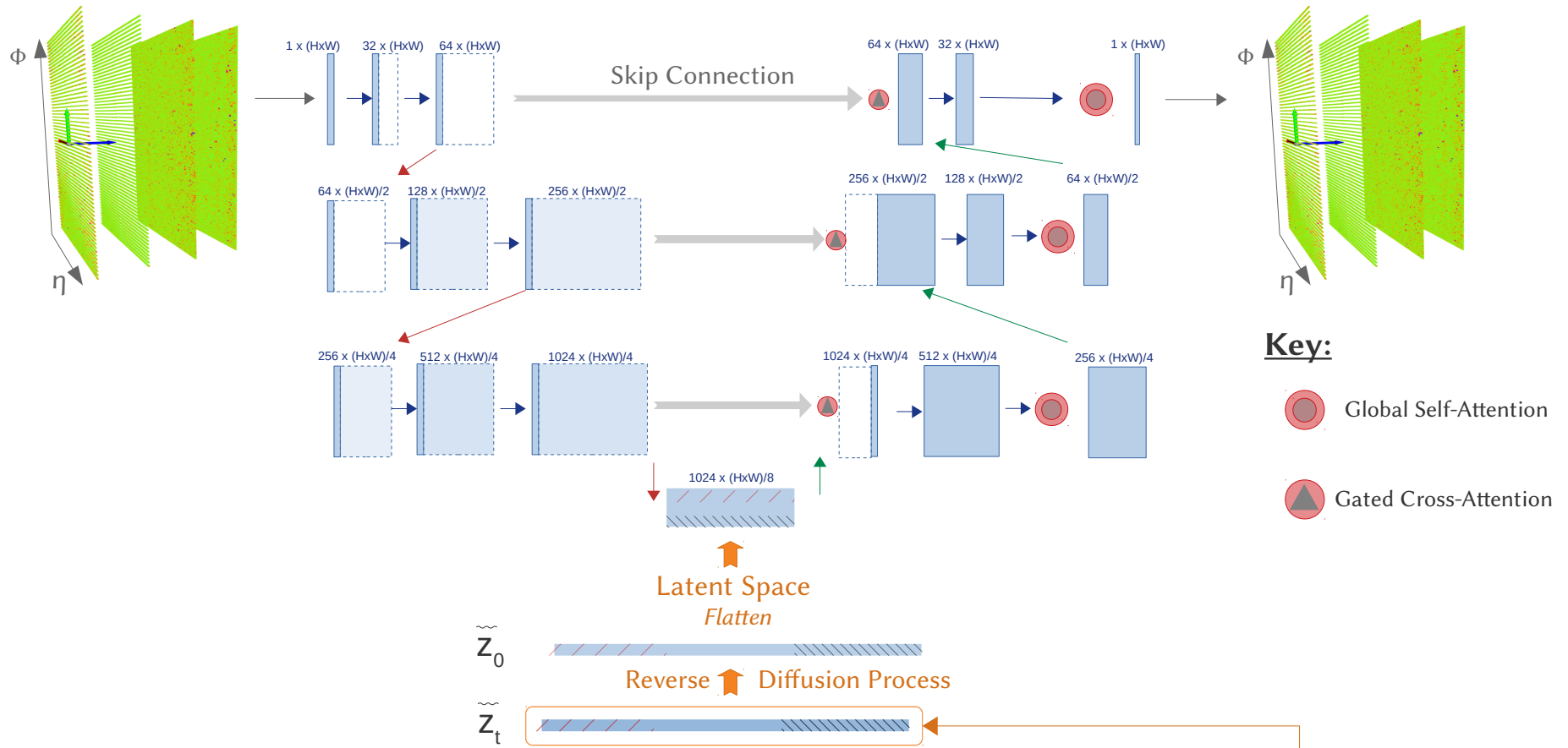
- ECAL
- HCAL

Key:

- Global Self-Attention
- Gated Cross-Attention



Latent DDPM



Denoising Diffusion Probabilistic Models

DDPMs – Recipe

→ Noise Scheduler:

Cosine β -scheduling noise injection:

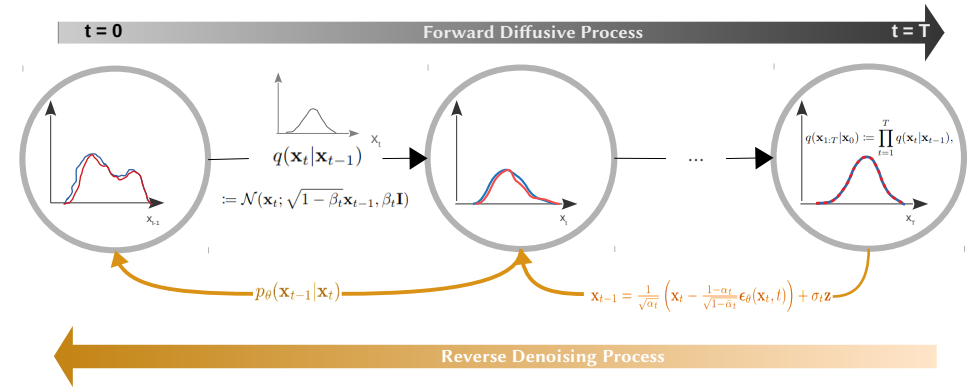
$$\beta_t = 1 - \frac{\bar{\alpha}_t}{\alpha_{t-1}} \quad \bar{\alpha}_t = f(t)/f(0) \quad f(t) = \cos\left(\frac{(t/T+s)\pi}{2 \cdot (1+s)}\right)$$

→ Denoising Score Matching

$$L(\theta) = \mathbb{E}_{t, x_0, \epsilon} [|\epsilon - \epsilon_\theta(x_t(x_0, \epsilon), t)|^2]$$

→ Density Ratio Estimating Classifier

$$L_{DRE} = \sum [p_c(t, x_0) \log(\hat{p}_c(t, x_0))]$$



Denoising Diffusion Probabilistic Models

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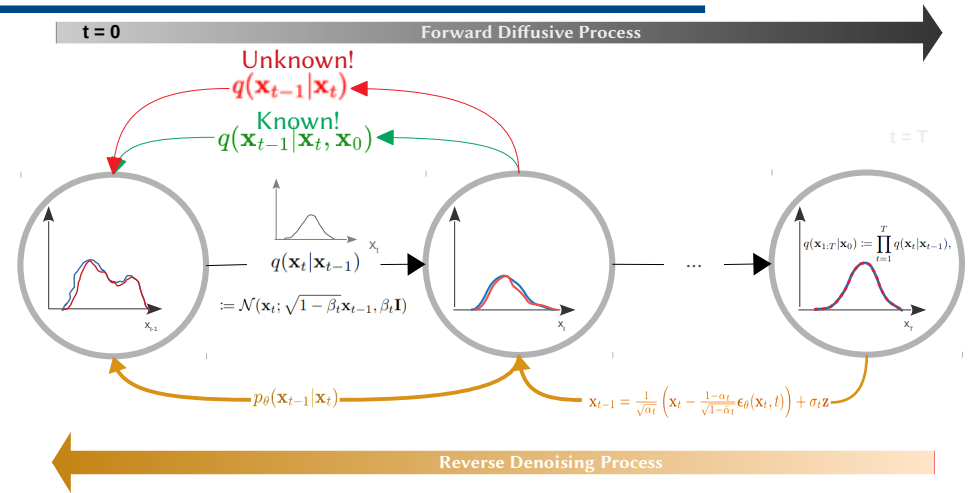
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→ The *origin* conditional probability is tractable:

$$q(x_{t-1}|x_t, x_0) = q(x_t|x_{t-1}, x_0) \frac{q(x_{t-1}|x_0)}{q(x_t|x_0)}$$

→ Network needs to learn the reverse process:

$$p_\theta(x_{0:T}) = p(x_T) \prod_{t=1}^T p_\theta(x_{t-1}|x_t)$$

→ Lower variational bound objective:

$$L_{VLB} = \mathbb{E}_{q(x_{0:T})} \left[\log \frac{q(x_{1:T}|x_0)}{p_\theta(x_{0:T})} \right]$$

→ DSM needs to learn the term:

$$L_{VLB} = L_T + \underbrace{L_{T-1} + \dots + L_0}_{\sum_{t=2}^T D_{KL}(q(x_{t-1}|x_t, x_0) \parallel p_\theta(x_{t-1}|x_t))}$$

Denoising Diffusion Probabilistic Models

DDPMs – Recipe

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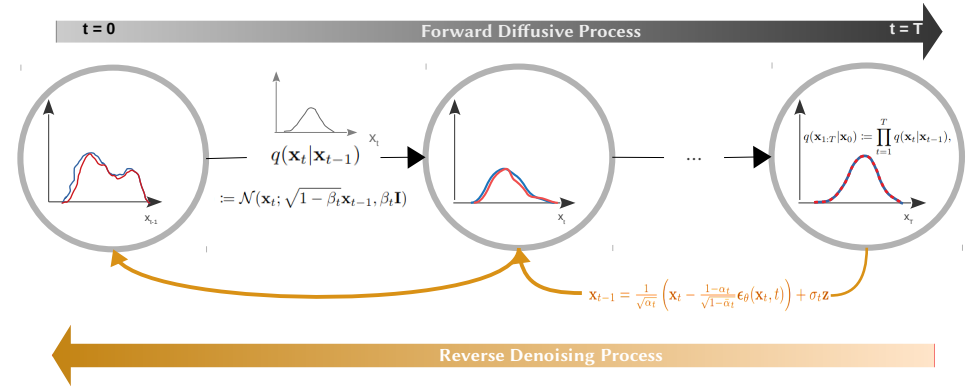
$$L_{DRE} = \sum [p_c(t, x_0) \log(\hat{p}_c(t, x_0))]$$

→ Conditional Embedding

$$L(\theta) = \mathbb{E}_{t, x_0, \epsilon, y} [|\epsilon - \epsilon_\theta(x_t(x_0, \epsilon), y, t)|^2]$$

→ Classifier Free Guidance

$$\bar{\epsilon}_\theta(x_t, y, t) = (w+1)\epsilon_\theta(x_t, y, t) - w \cdot \epsilon_\theta(x_t, t)$$



→ Conditional dependency can be integrated:

$$q(x_{t-1}|x_t, x_0, y) = q(x_t|x_{t-1}, x_0, y) \cdot \frac{q(x_{t-1}|x_0, y)}{q(x_t|x_0, y)}$$

$$p_\theta(x_{0:T}|y) = p_\theta(x_T) \prod_{t=1}^T p_\theta(x_{t-1}|x_t, y)$$

→ Score estimation naturally extends with this conditionality:

$$\nabla_{x_t}^w \log(p_\theta(x_t|y)) = (1-w) \nabla_{x_t} \log(p_\theta(x_t)) + w \nabla_{x_t} \log(p_\theta(x_t|y))$$

→ Guidance scalar (w) used to control conditional ↔ unconditionally interpolation of score/noise estimators:

$$\bar{\epsilon}(x_t, t, y) = w \epsilon_\theta(x_t, t, y) - (1-w) \epsilon_\theta(x_t, t)$$

Denoising Diffusion Probabilistic Models

DDPMs – Recipe

→ Noise Scheduler:

Cosine β -scheduling noise injection:

$$\beta_t = 1 - \frac{\bar{\alpha}_t}{\bar{\alpha}_{t-1}} \quad \bar{\alpha}_t = f(t)/f(0) \quad f(t) = \cos\left(\frac{(t/T+s)\pi}{2(1+s)}\right)$$

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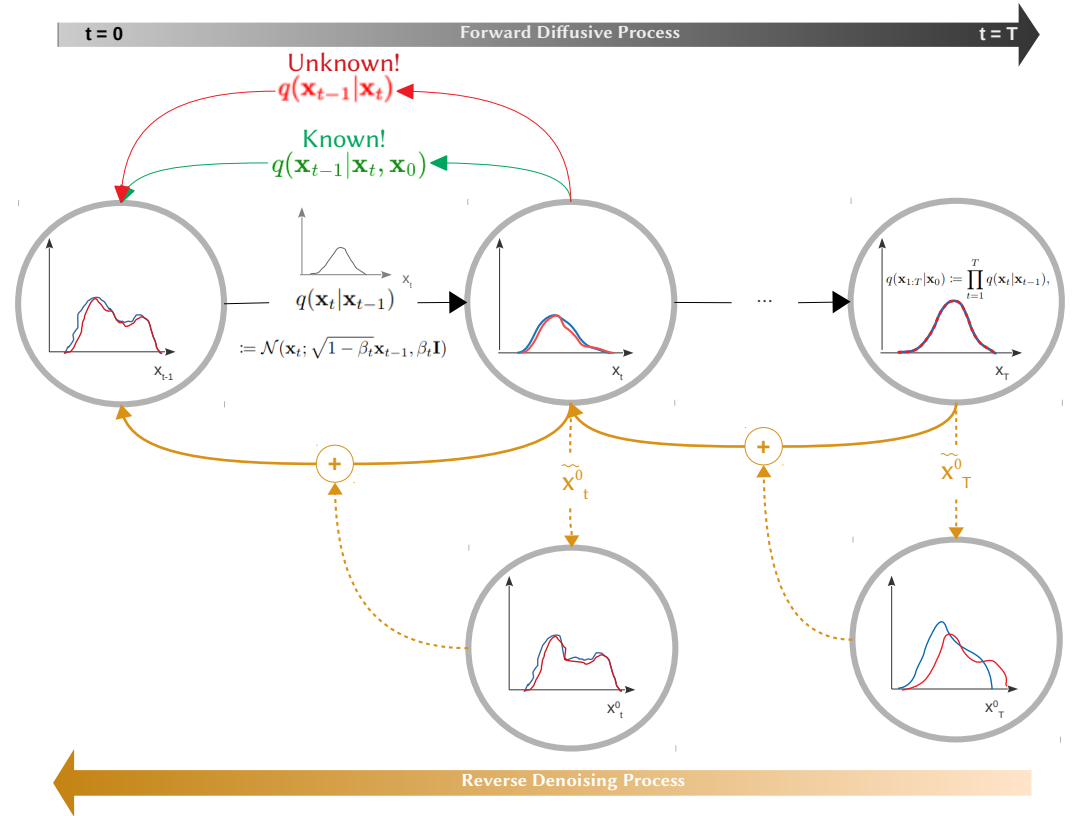
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→ Self-Conditioning

$$L(\theta) = \mathbb{E}_{t, x_0, \hat{x}_0, \epsilon, y} [|\epsilon - \epsilon_\theta(x_t(x_0, \epsilon), y, t, \hat{x}_0)|^2]$$



→ Self-conditioned dependency can be integrated:

$$p_\theta(x_{0:T}|y, \tilde{x}_0) = p_\theta(x_T) \prod_{t=1}^T p_\theta(x_{t-1}|x_t, y, \tilde{x}_0)$$

→ Provided that there is a stop gradient on the estimate of the original image \tilde{x}_0 :

$$\nabla_{x_t}^w \log(p_\theta(x_t|y, \tilde{x}_0)) = (1-w) \nabla_{x_t} \log(p_\theta(x_t)) + w \nabla_{x_t} \log(p_\theta(x_t|y, \tilde{x}_0))$$

→ Scalar based guidance becomes:

$$\bar{\epsilon}(x_t, t, y) = w \epsilon_\theta(x_t, t, y, \tilde{x}_0) - (1-w) \epsilon_\theta(x_t, t)$$

Delphes Pile-up Simulation

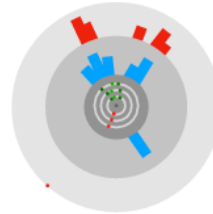
Problem:

Pileup from multiple proton interactions currently miss-model data. This trend worsens with the number of interactions per bunch crossing leading to an explosive issue moving towards the HL-LHC:

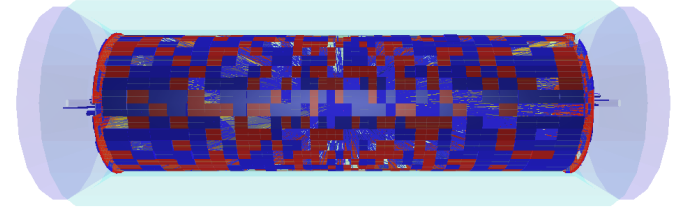
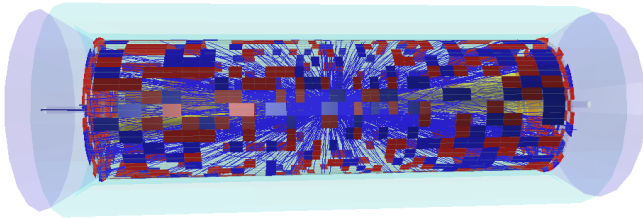
SOFT QCD GEN.



DETECTOR SIM.



RECO.

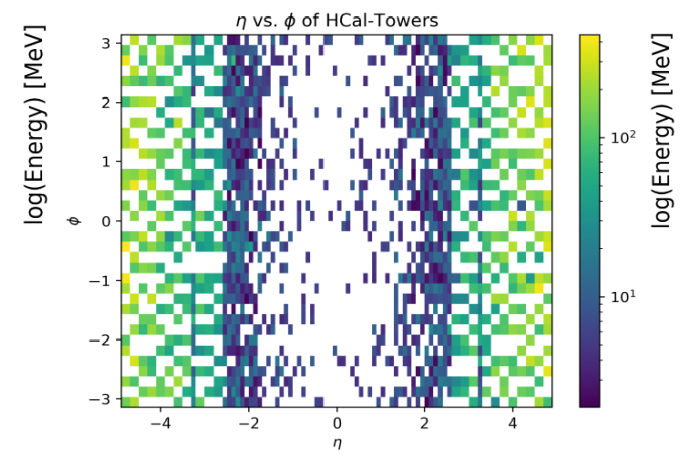
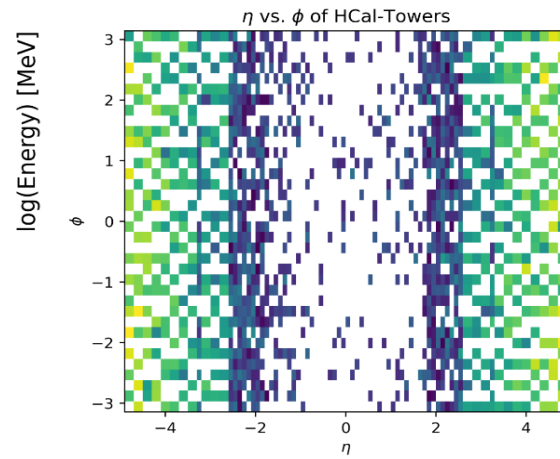
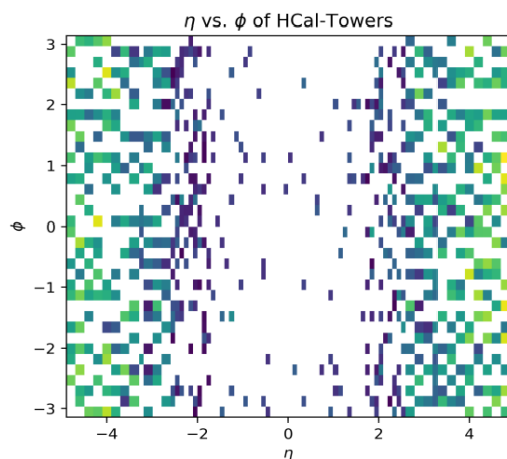


$\langle \mu \rangle$

$\langle \mu \rangle = 40$

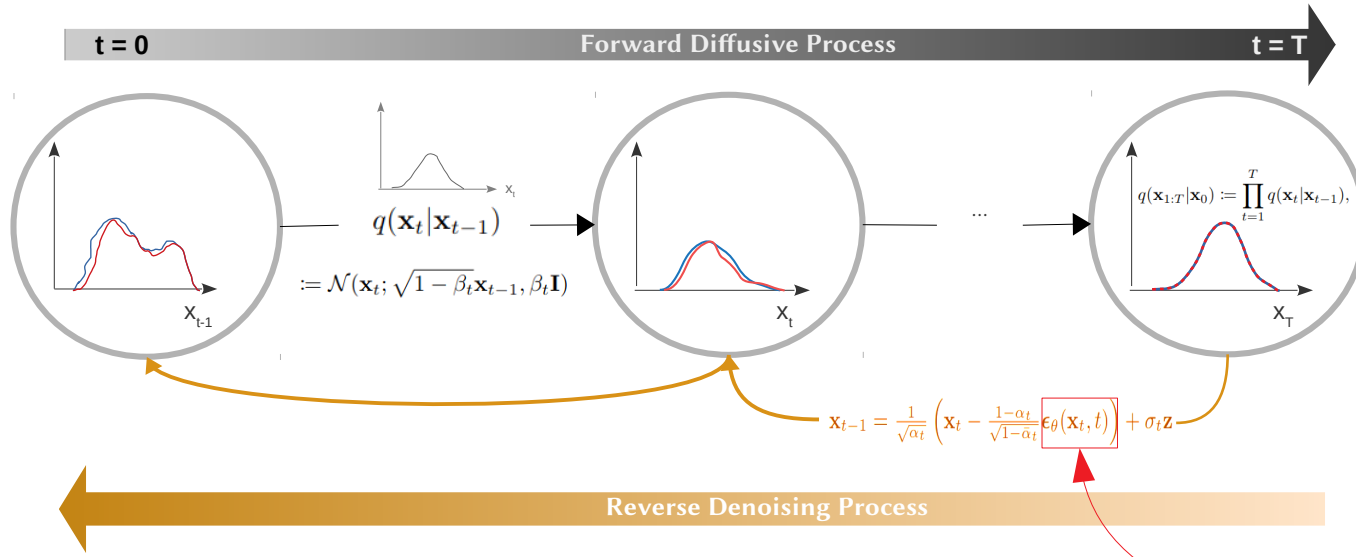
$\langle \mu \rangle = 84$

$\langle \mu \rangle = 124$

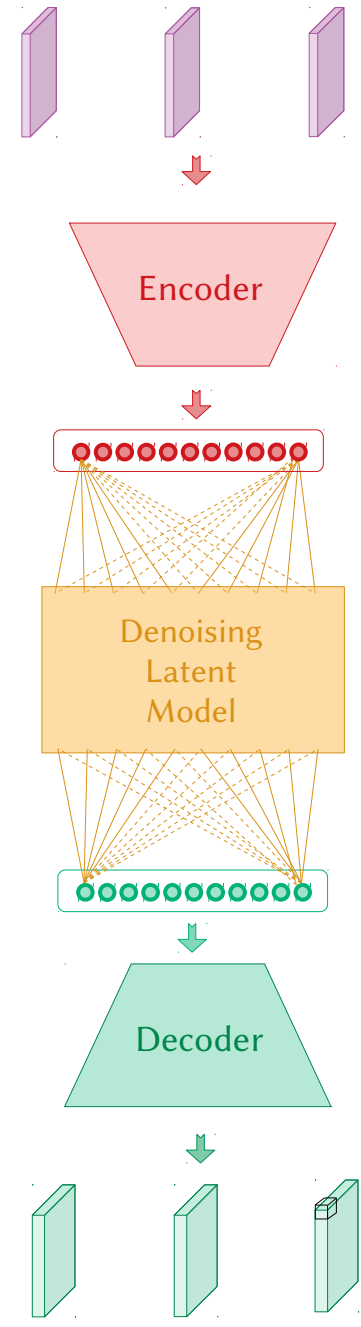


Denoise Score Matching Neural Network

DDPM Model Architecture



Input Calorimeter Images η - Φ space



Denoising Neural Model

→ Image Reco. Encoder + Decoder:

Using a UNet based architecture with:

- Cross-Attention
- Global Self-Attention
- Deep Residual Connections

Using patch + pixel based reconstruction loss:

→ Denoising Latent Model:

Using a residual block based neural network:

- Sinusoidal embedding of class+time
- Short + Long residual connections
- Dense (non-)linear MLP blocks

Using noise score matching criteria:

$$L(\theta) = \mathbb{E}_{t, x_0, \hat{x}_0, \epsilon, y} [|\epsilon - \epsilon_\theta(x_t(x_0, \epsilon), y, t, \hat{x}_0)|^2]$$

Latent Diffusion Residual Network

Latent Diffusion Resi. Net

→ Residual Neural Network

Deep embedding blocks to prevent mode collapse. Therefore need residual connections to overcome lost gradients

→ Simple Sinusoidal Embedding

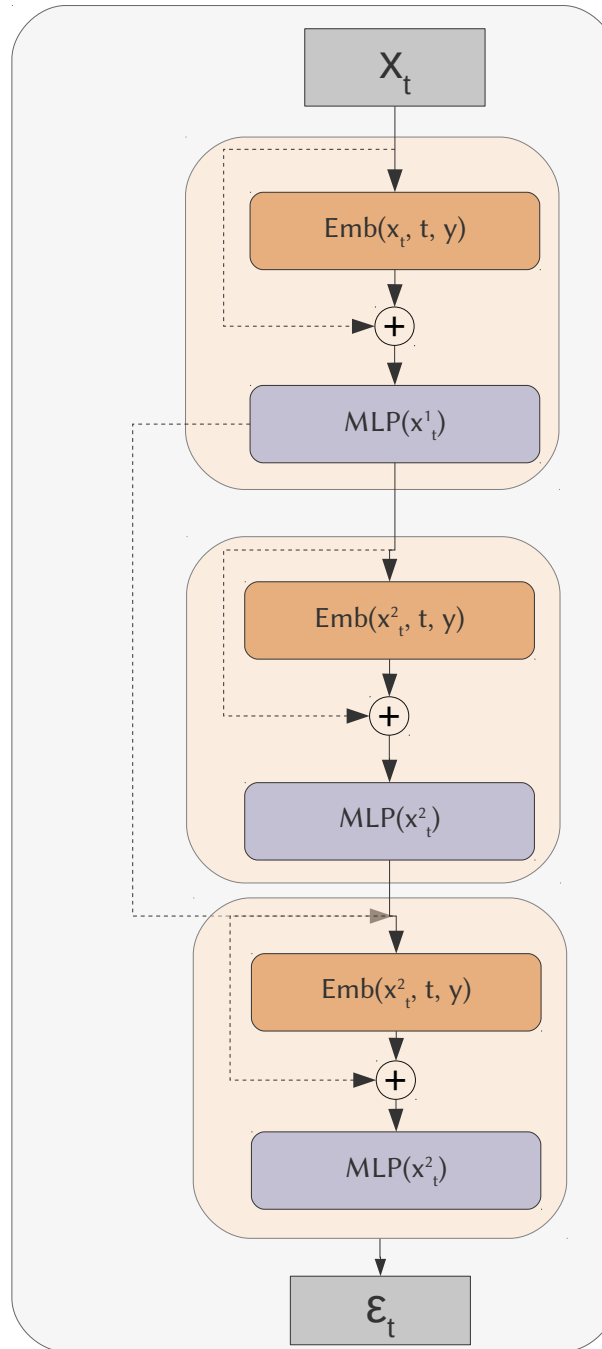
$$PE_{t,2i} = \sin(t/\alpha^{2i/d_{emb}})$$

$$PE_{t,2i+1} = \cos(t/\alpha^{(2i+1)/d_{emb}})$$

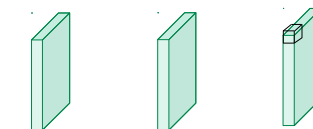
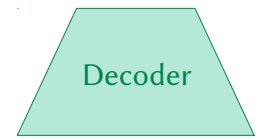
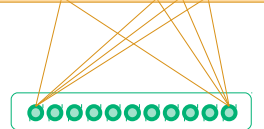
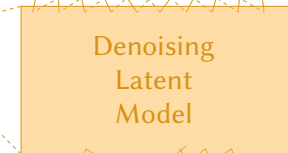
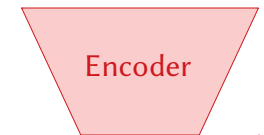
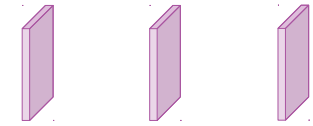
Natural normalisation of conditional variables that scales dimensionally with embedding space

→ FFN Blocks

Simple dense feed-forward neural network blocks for dimensionality scaling and expressibility



Input Calorimeter Images η - Φ space



Output Calorimeter Images η - Φ space

Latent Diffusion Residual Network

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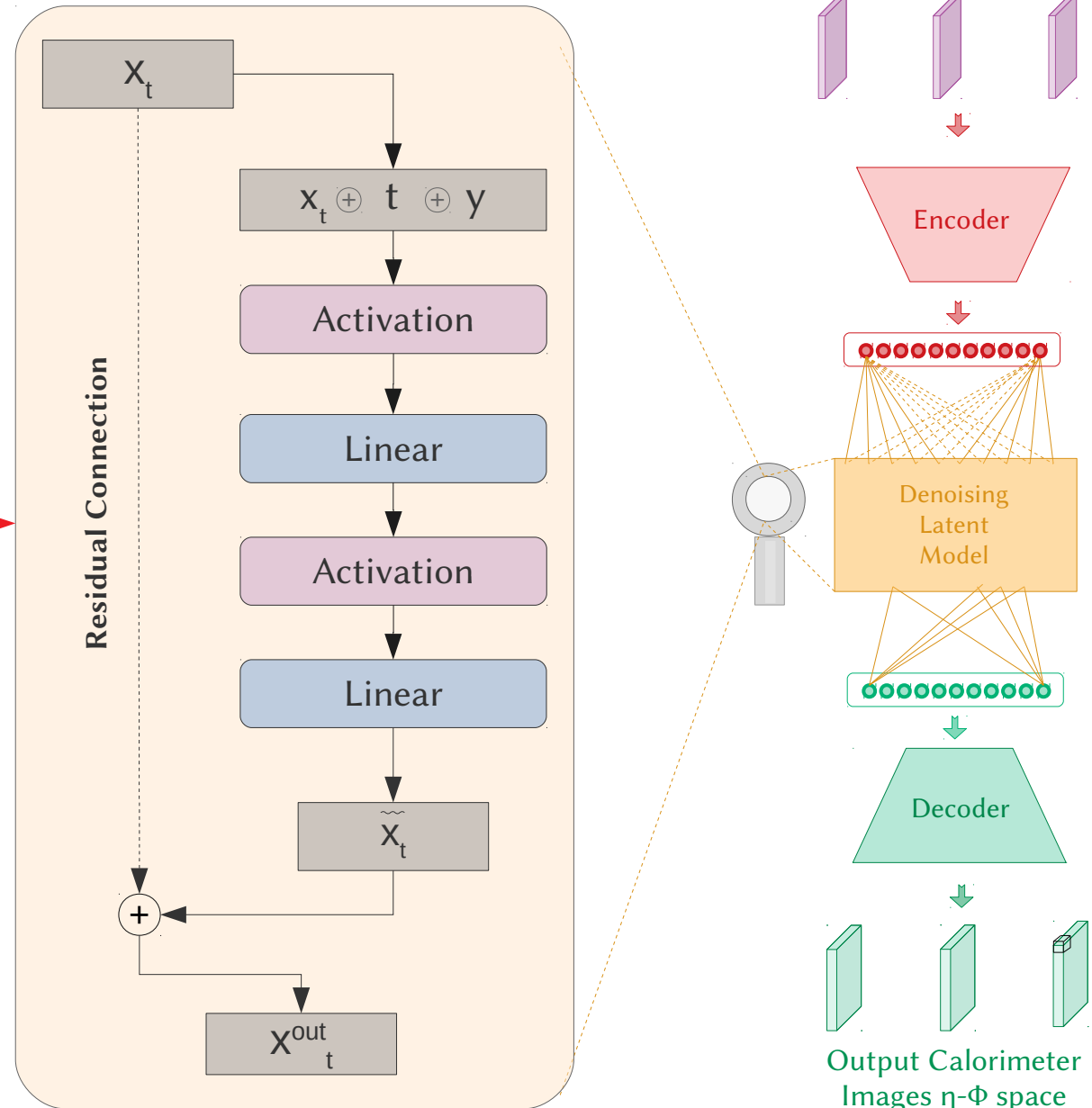
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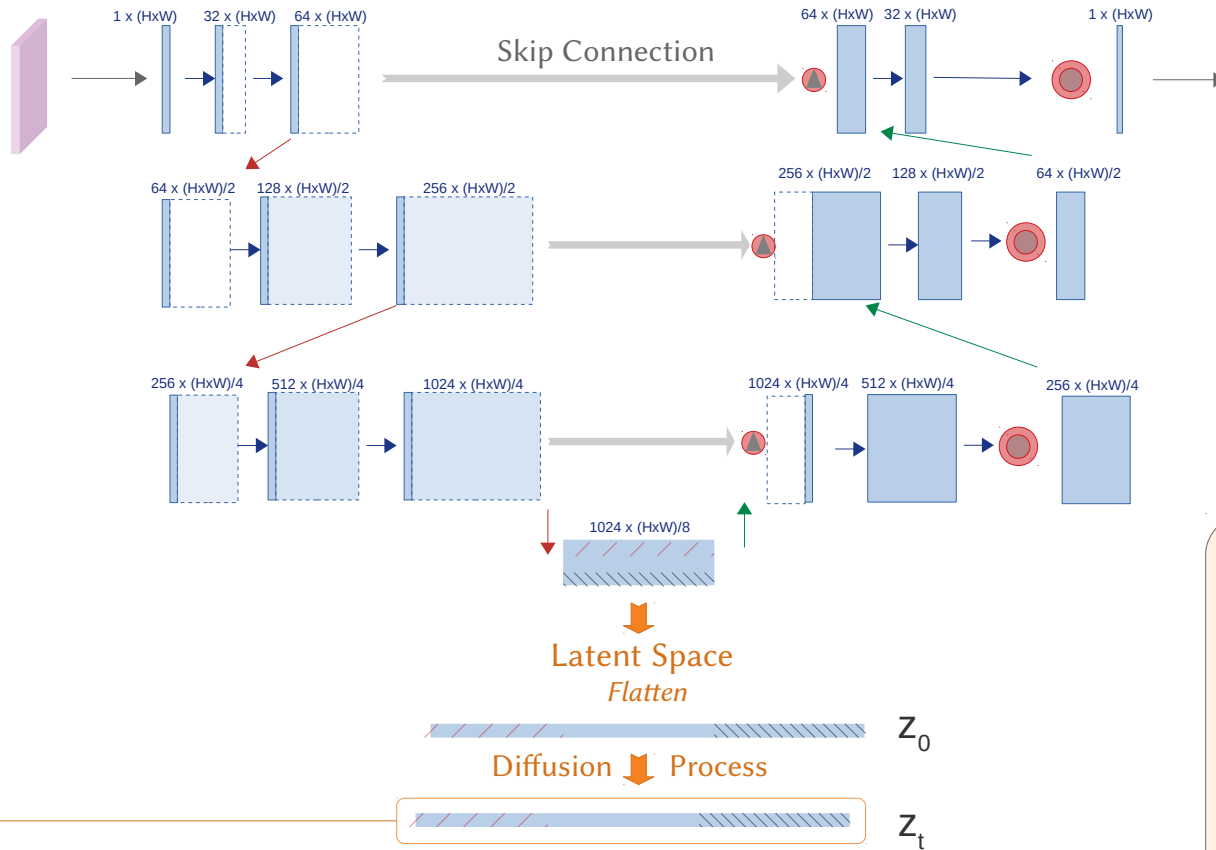
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Latent DDPM

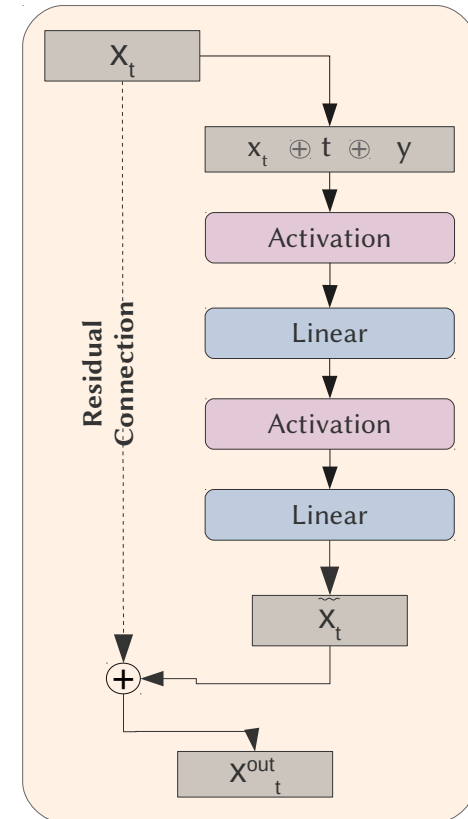
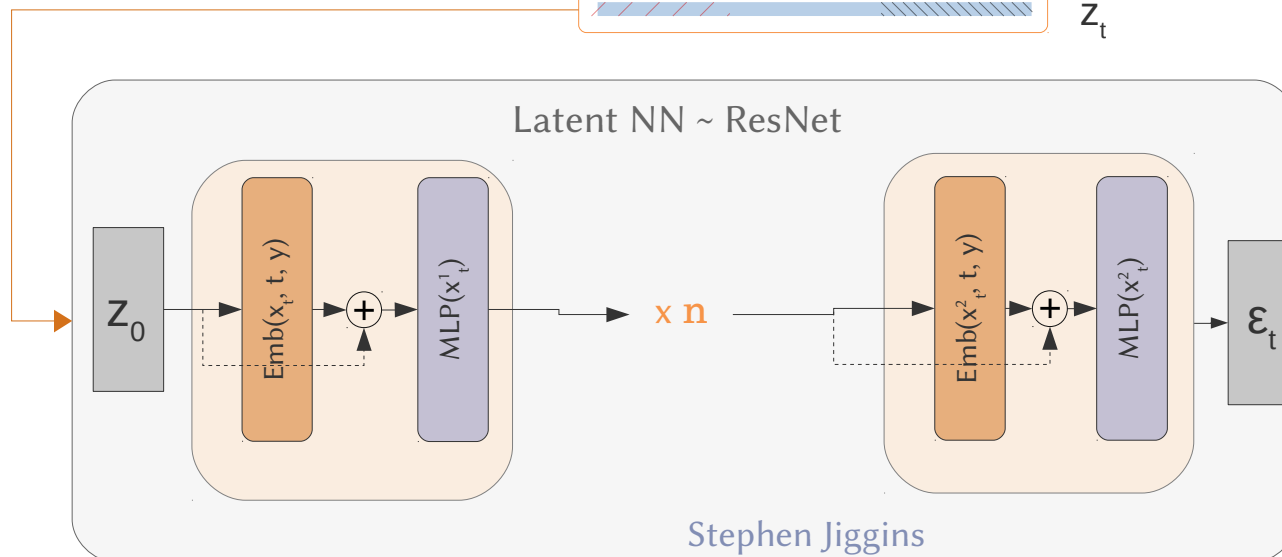
Calorimetry Data - Delphes/Geant4

- ATLAS EMB:
 - Pre-sampler
 - EMB1-3
 - Cell level energy and geometry
- Delphes:
 - ECAL
 - HCAL



Key:

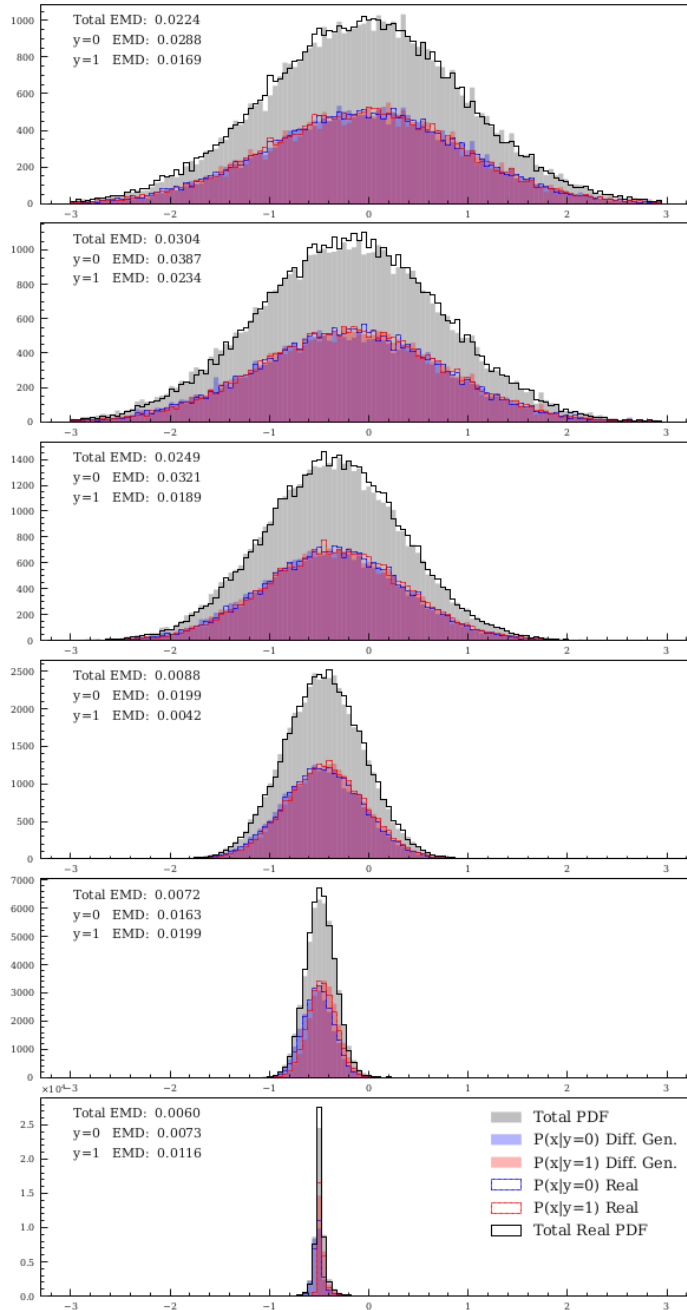
- Global Self-Attention
- Gated Cross-Attention
- Res-Style Block



PDF Heat Map – Time Profile w/ self-conditioning

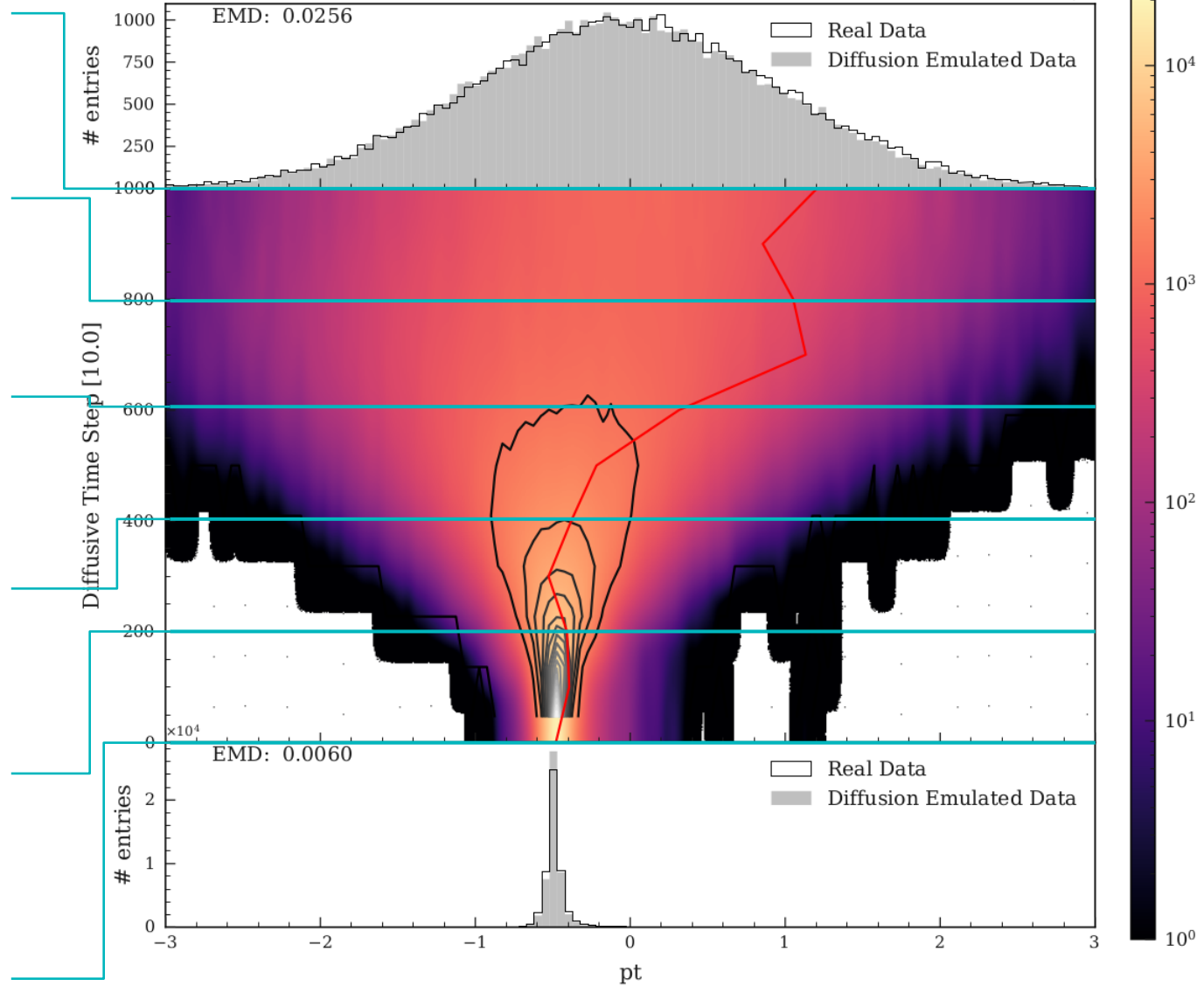
JetNet: Top -vs- W jets

DeGeSim - JetNet preliminary

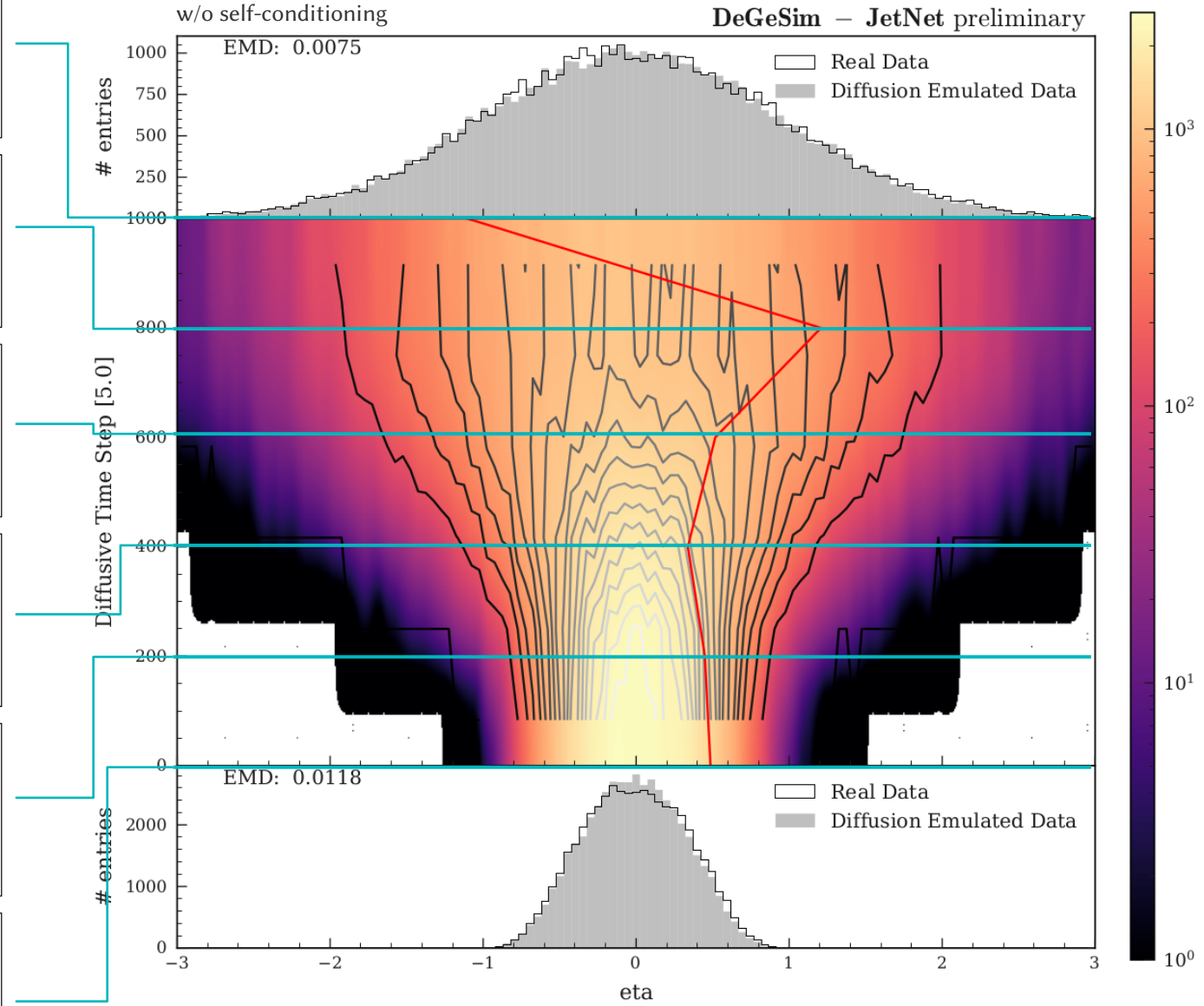
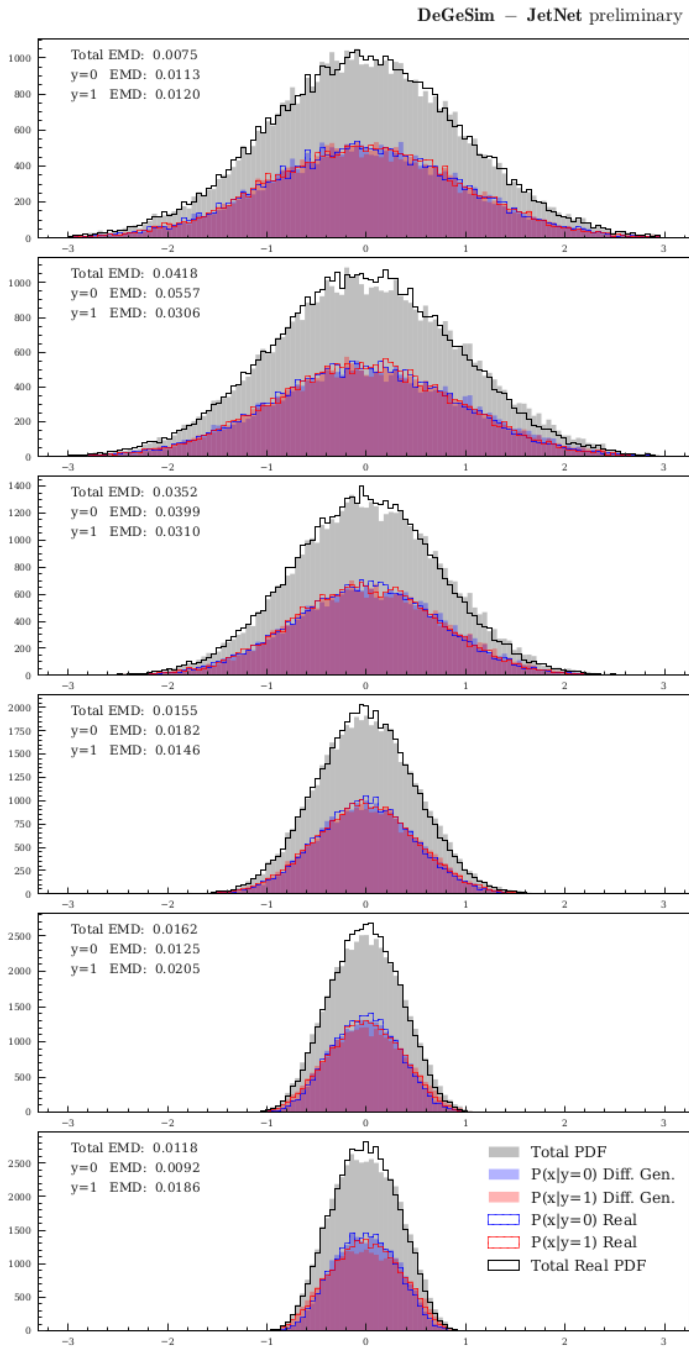


w/o self-conditioning

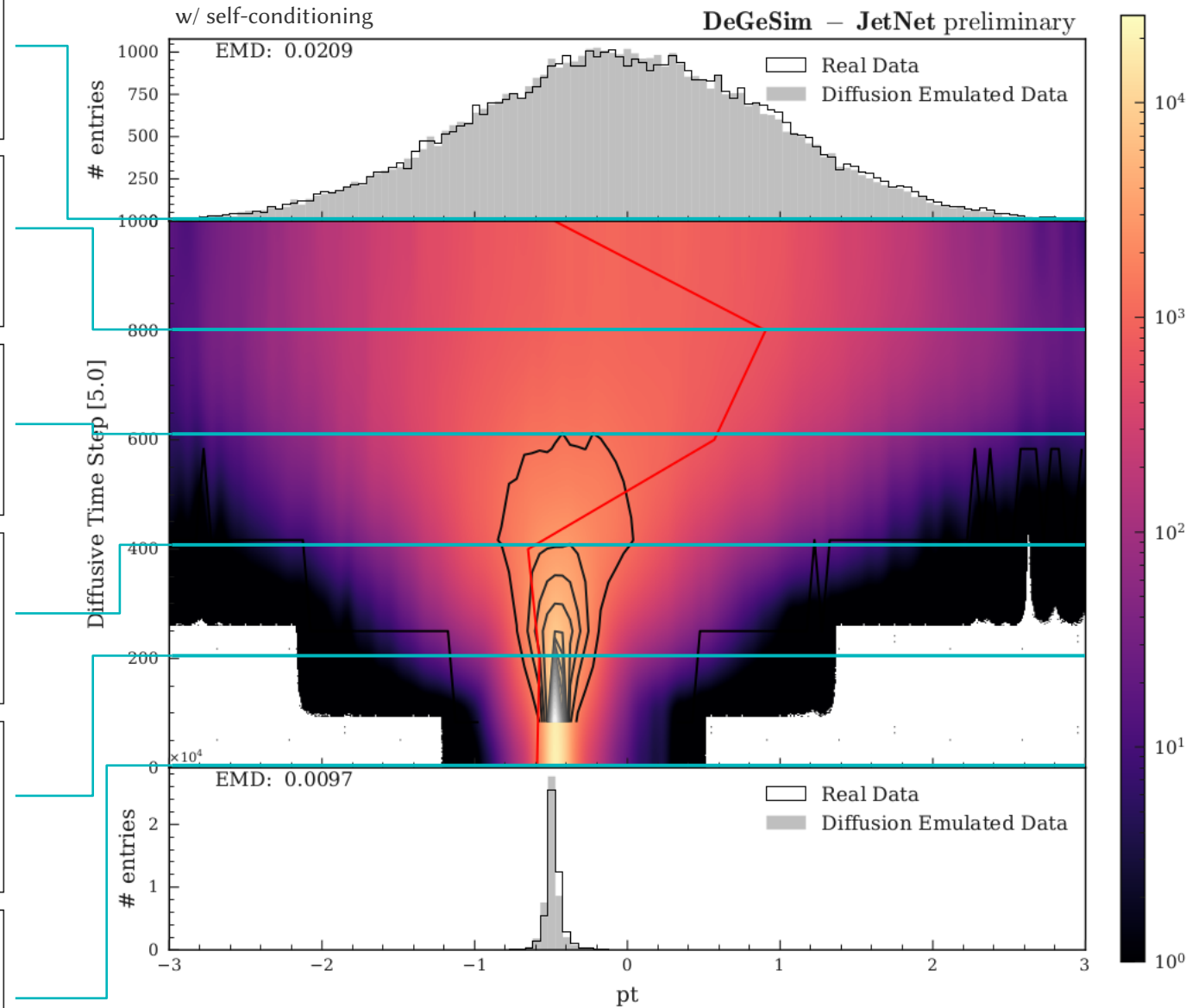
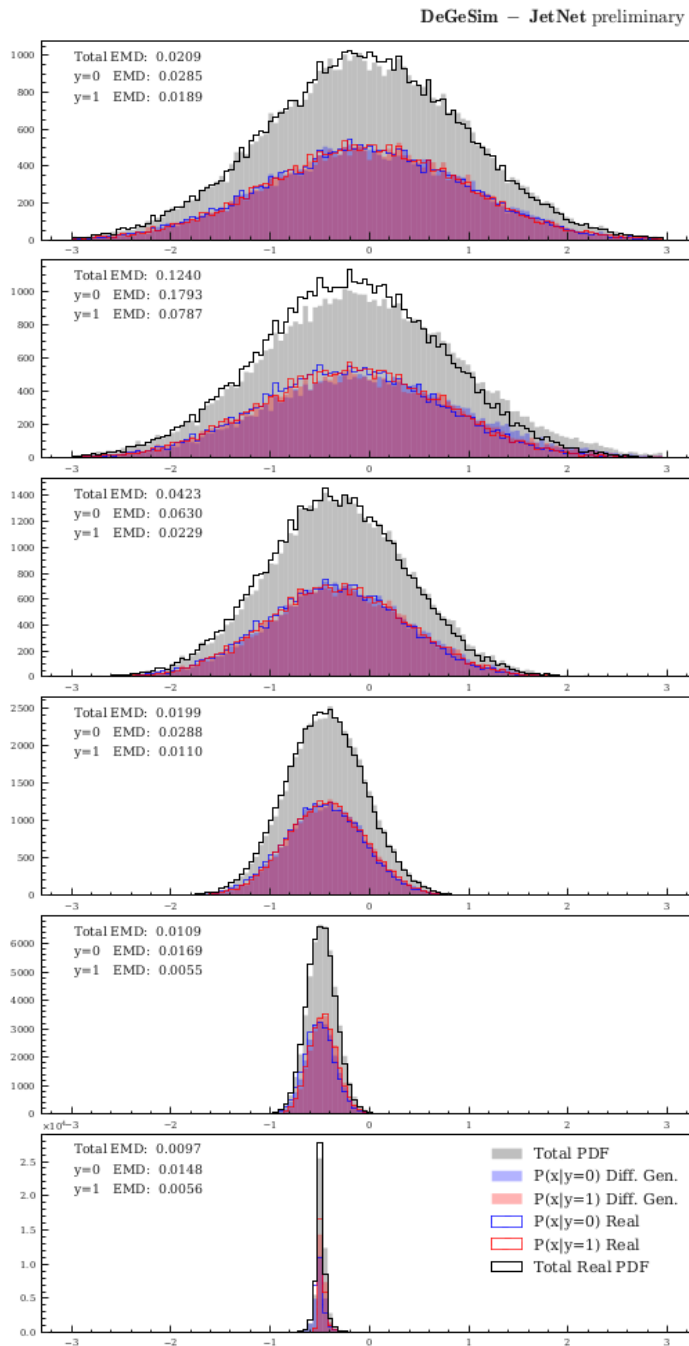
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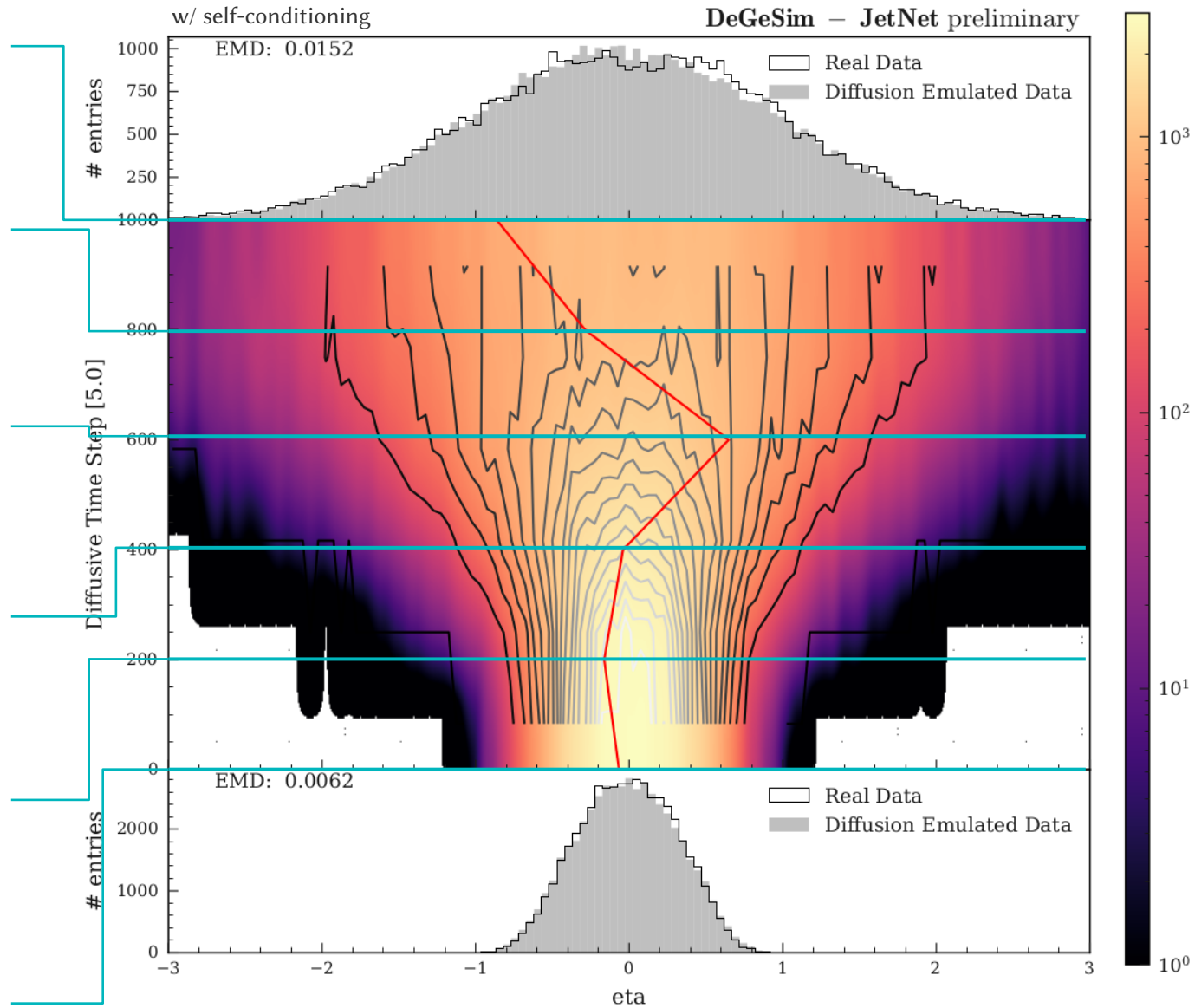
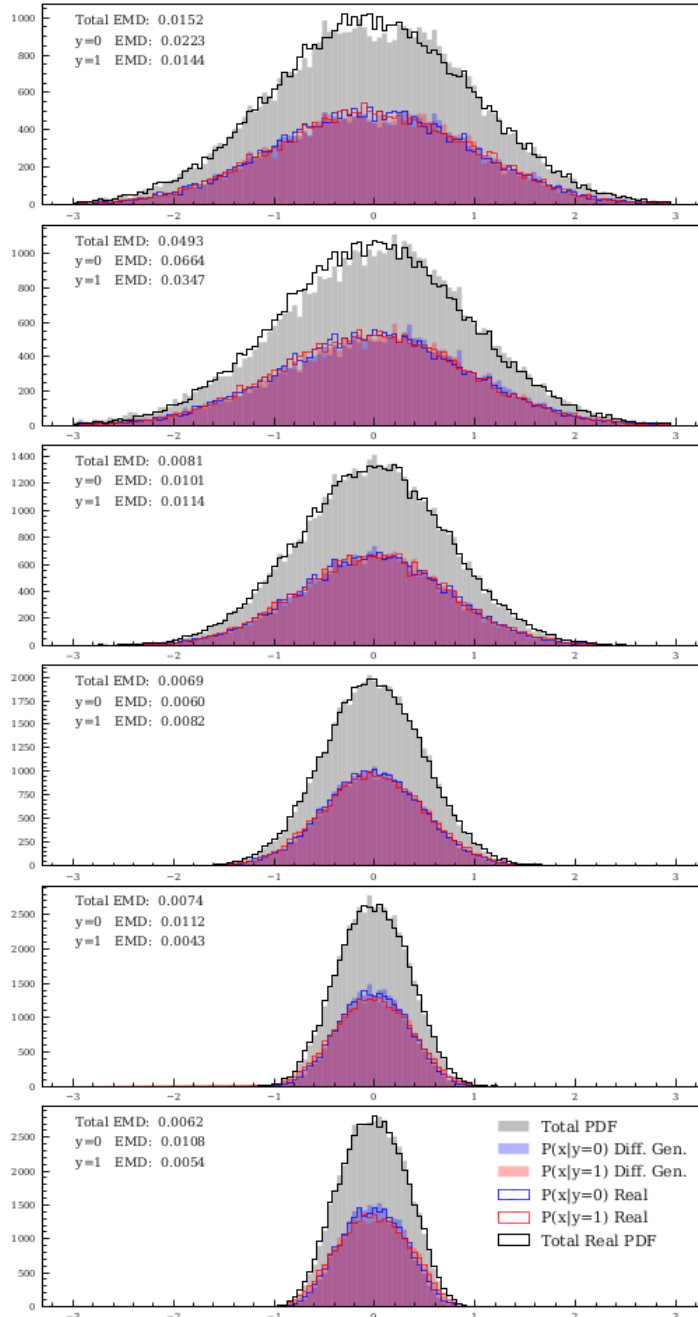


JetNet: Top -vs- W jets



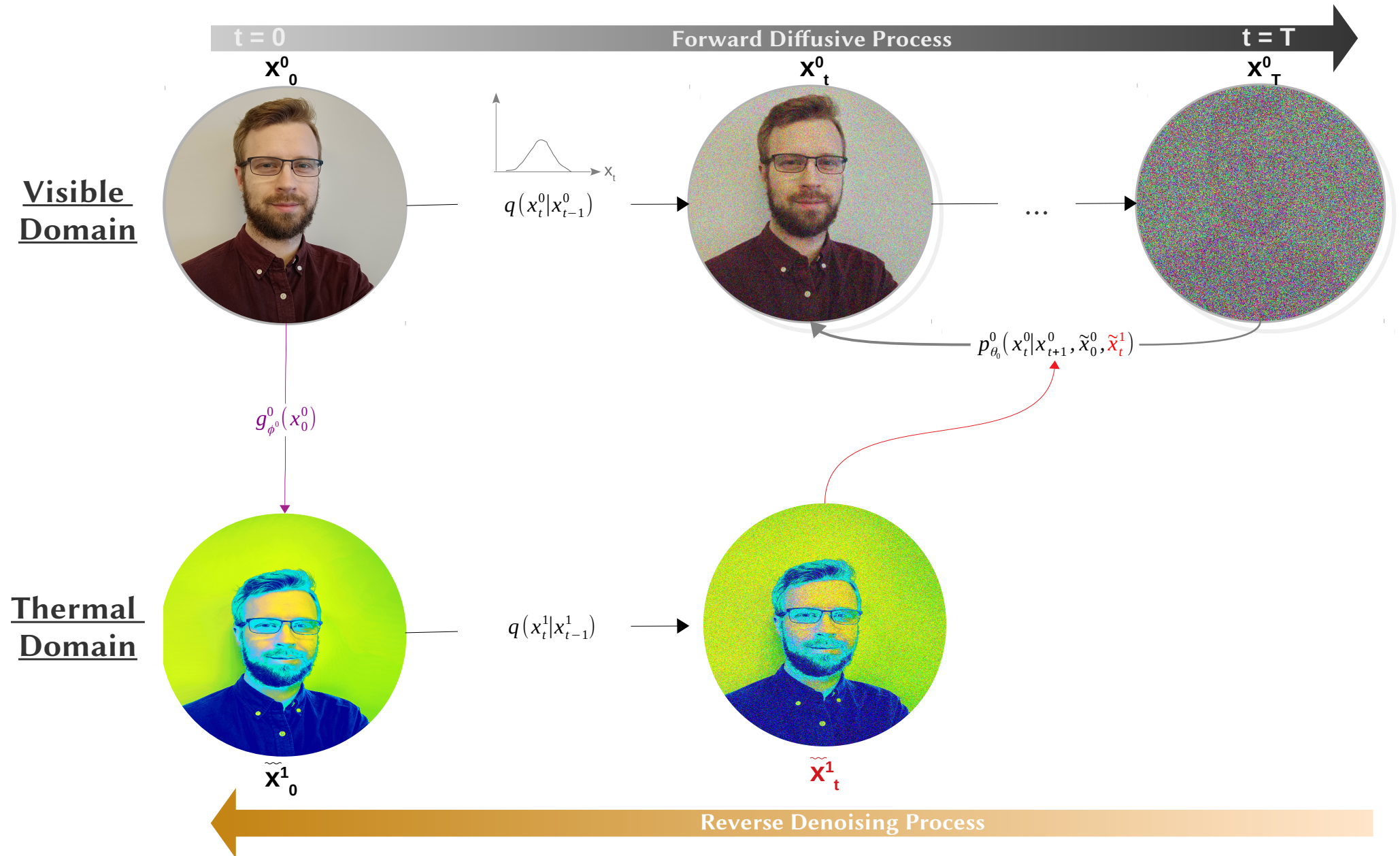
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Cross Domain Attention

Unpaired Domain Adaptation DDPM - I2I



Unpaired Domain Adaptation DDPM - I2I

